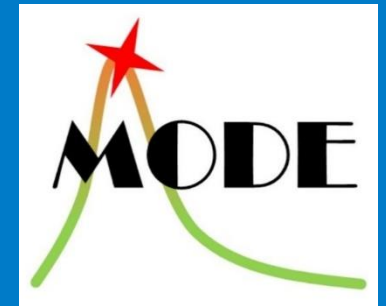


4th MODE workshop Valencia
23 september 2024



Reconstruction of p-p collisions with CMS using neuromorphic computing

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Contents

1. Introduction:

- CMS in Phase 2
- Tracking in dense environment

2. Spiking neural networks:

- LIF neuron and STDP
- Our model and information encoding

3. Datasets

4. Results

5. Active fields and future work

Introduction: CMS

CMS detector

- “ Compact Muon Solenoid “
- Cylindrical structure composed of:

➤ **Silicon tracker:**
to track charge particles and measure their momentum

➤ Electromagnetic calorimeter

➤ Hadronic calorimeter

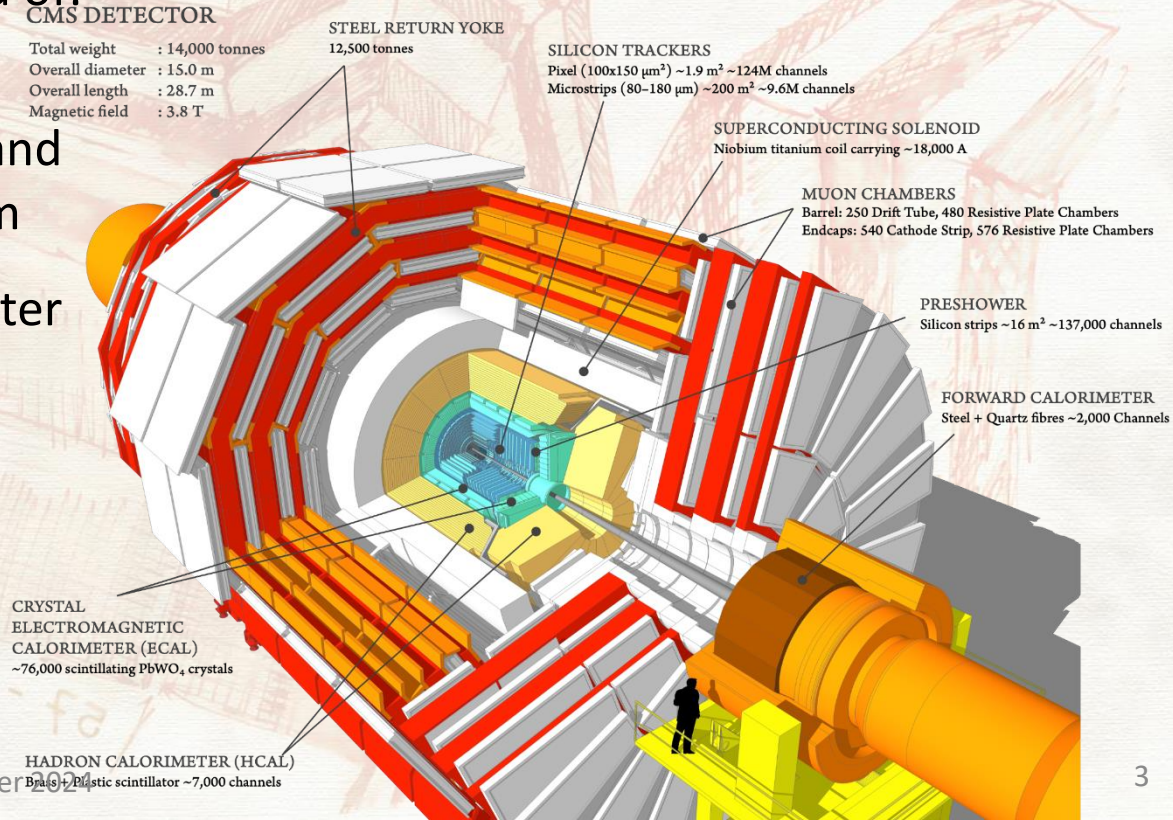
➤ Superconducting magnet

- $\vec{B} = (3.8 \text{ T}) \hat{z}$

➤ Muon chambers

CMS DETECTOR

Total weight : 14,000 tonnes
Overall diameter : 15.0 m
Overall length : 28.7 m
Magnetic field : 3.8 T



Introduction: CMS

Phase2 tracker

- Silicon detectors
→ excellent spatial resolution $O(\mu\text{m})$
- Passage of a charged particle:
→ local charge accumulation (**cluster**)
→ 3D position (**hit**)

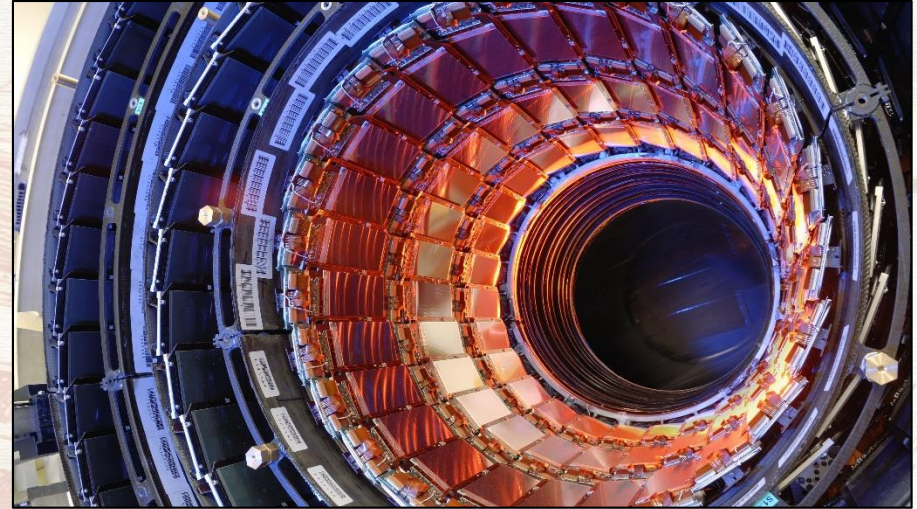
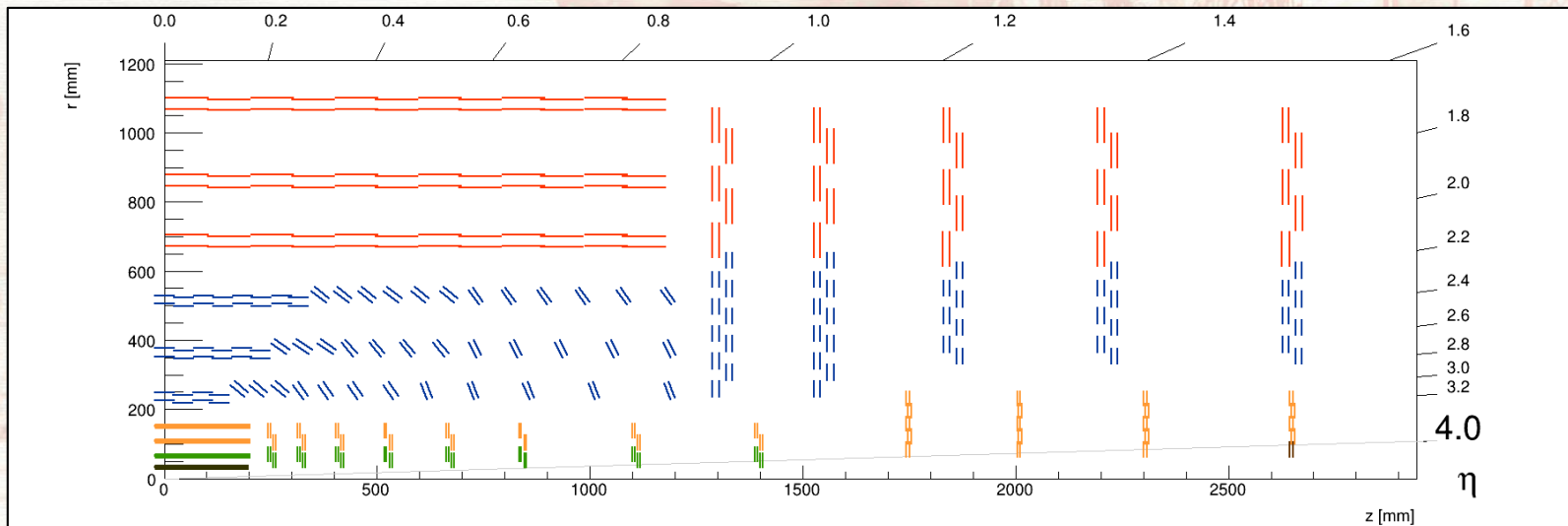


Photo: strip detector (Run 1, 2 e 3)



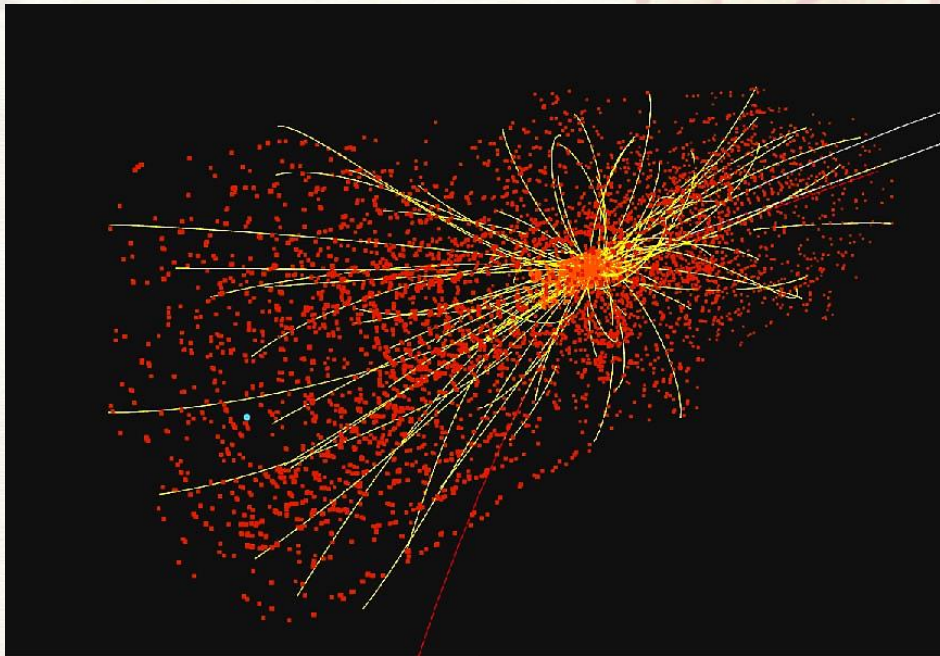
Tracking in dense environments

Proton-proton collision event revealed by CMS

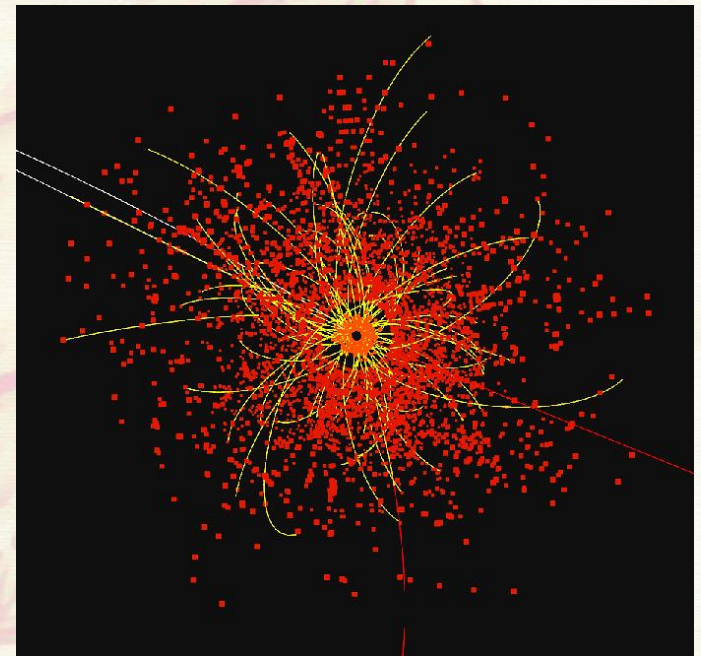
■ Hit on the detectors

— Reconstructed track

The density will increase even further during the
High Luminosity LHC!



3D vision of an event in the CMS tracker



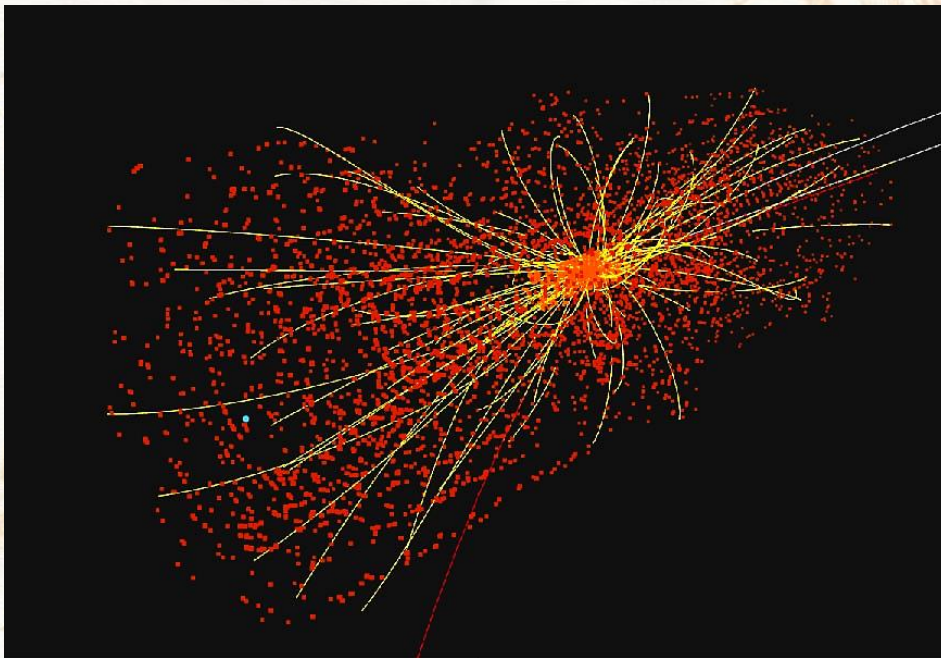
Transverse plane vision

Goal

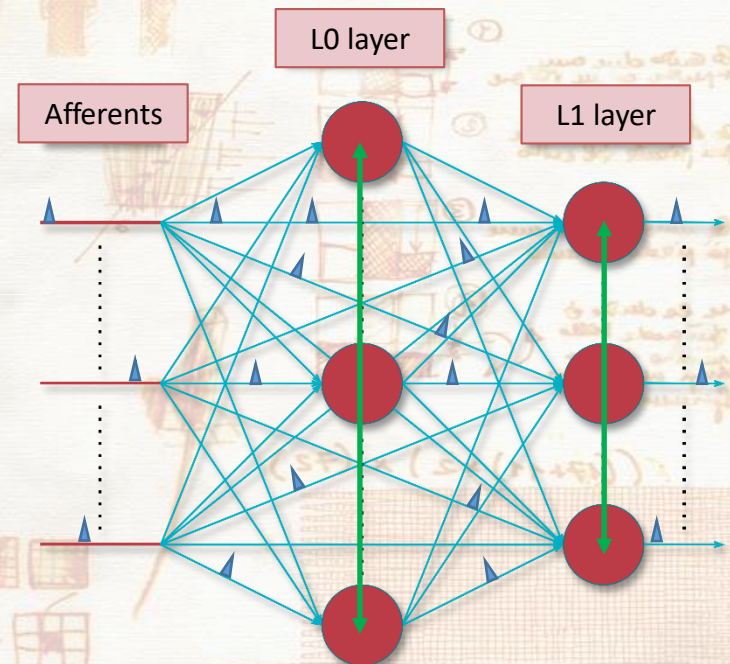
Identifying and reconstructing tracks is computationally complex problem



Innovative use of **Spiking Neural Networks** to complement *pattern recognition*



3D vision of an event in the CMS tracker



Spiking Neural Network architecture

Spiking neural network

What's neuromorphic computing

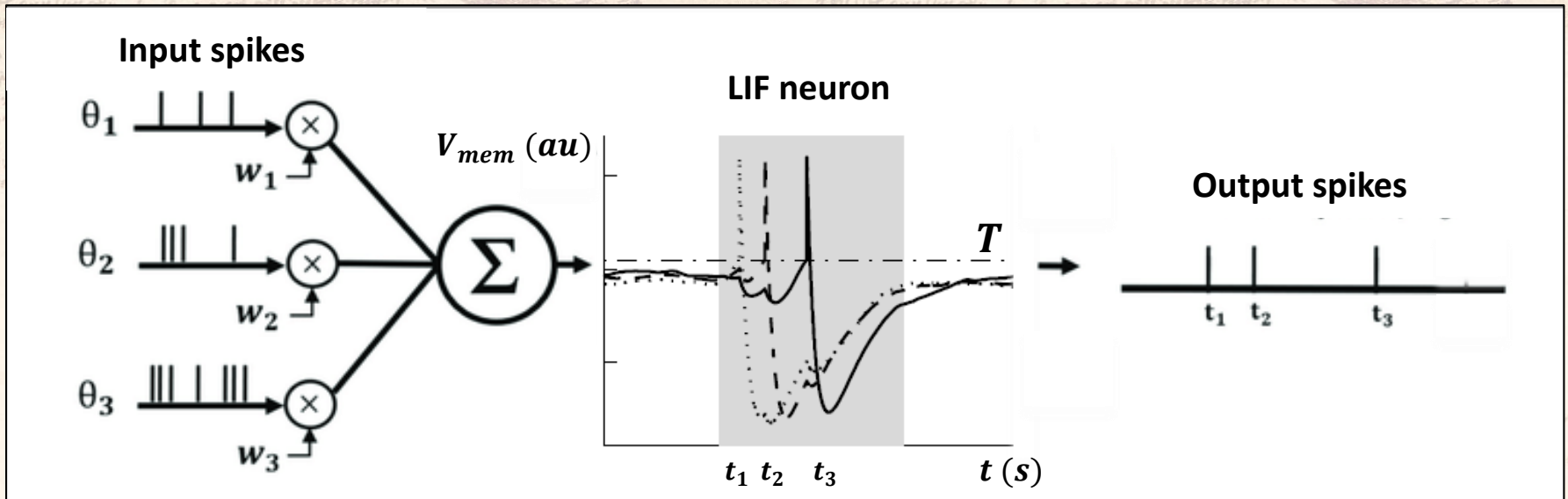
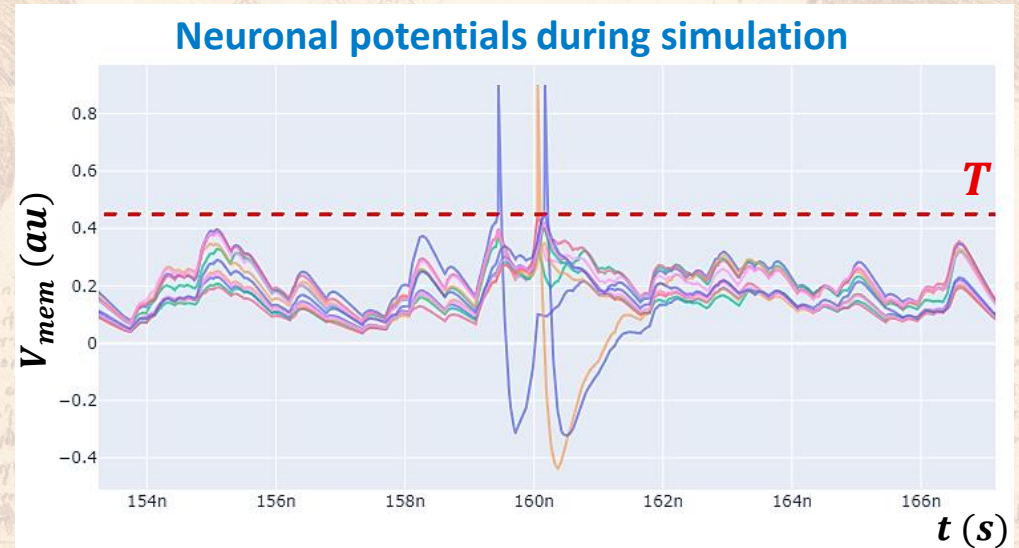
- **Spiking neural networks:** biologically plausible modelling of the behaviour of natural neural networks
- Implementing neurons and synapses in specialized hardware

Distinctive features




- **Energy efficiency:** Operates with minimal power
- **Different computing paradigm:**
 - Both processing and memory are governed by the neurons and the synapses
 - **Event-driven computation**
 - Natural encoding of temporal information
- But usually harder to train

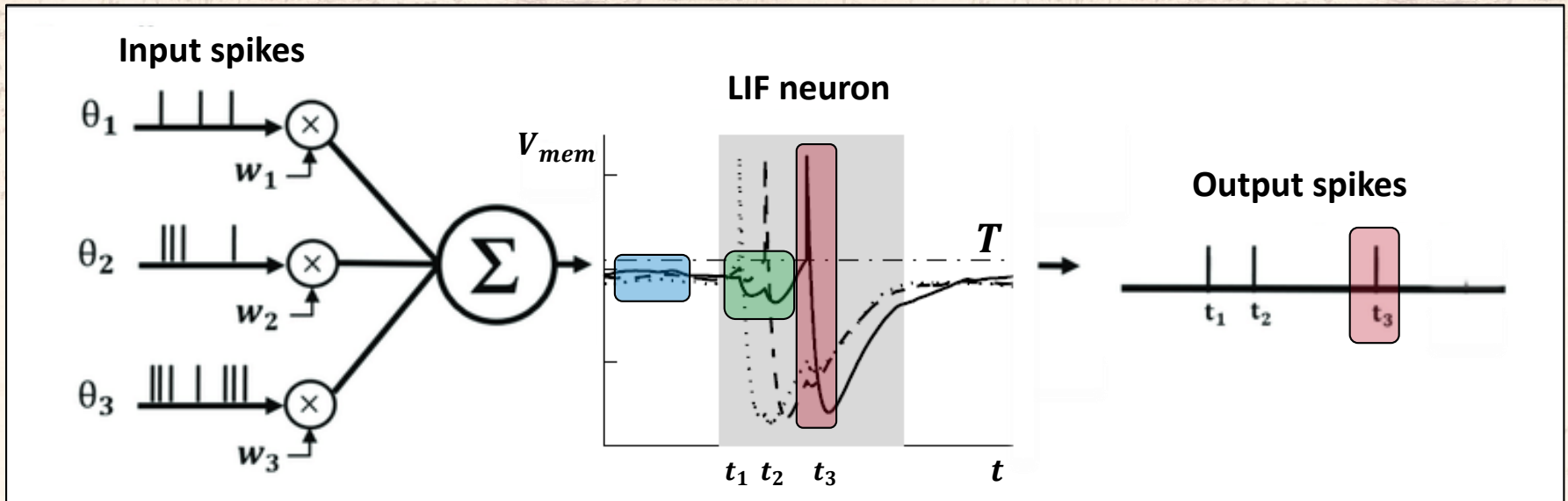
Leaky integrate-and-fire neuron (LIF)

- The **neuron** is modelled with an **RC circuit**
 - $R \rightarrow$ ion dispersion
 - $C \rightarrow$ membrane capacitance
- Information encoded in the arrival time of electrical impulses (*Spikes*)



Leaky integrate-and-fire neuron (LIF)

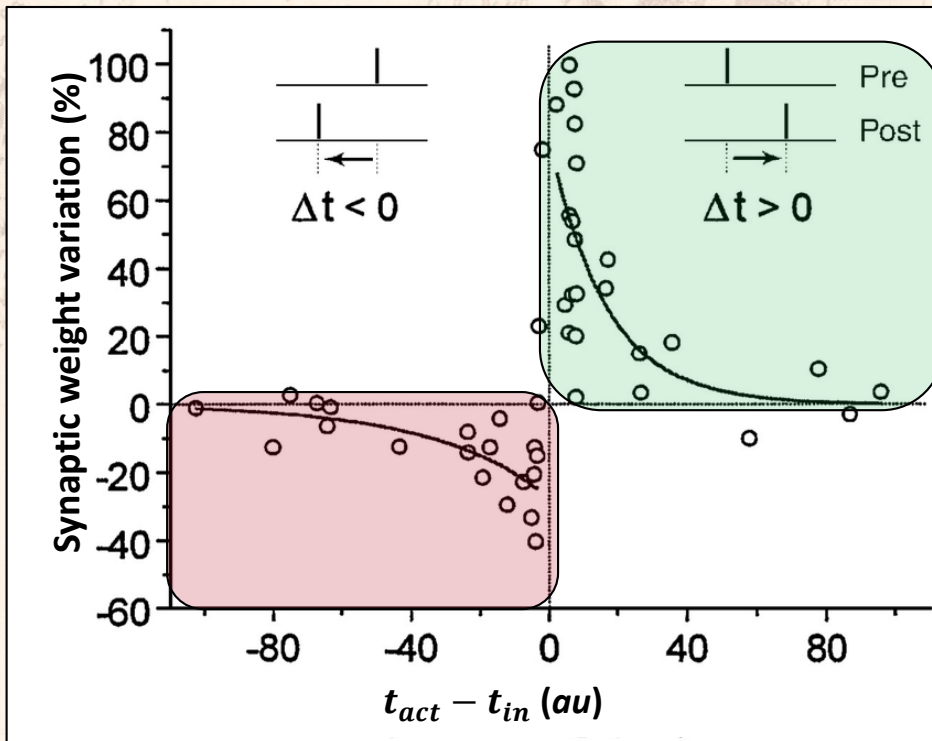
- Input spike → **Increasing** membrane potential 
- Membrane potential V_{mem} exceeds threshold T → **Neuron activation** 
- **Inhibition** of neurons belonging to the **same layer** → Competition between neurons → **Specialization** 



Learning algorithm: STDP

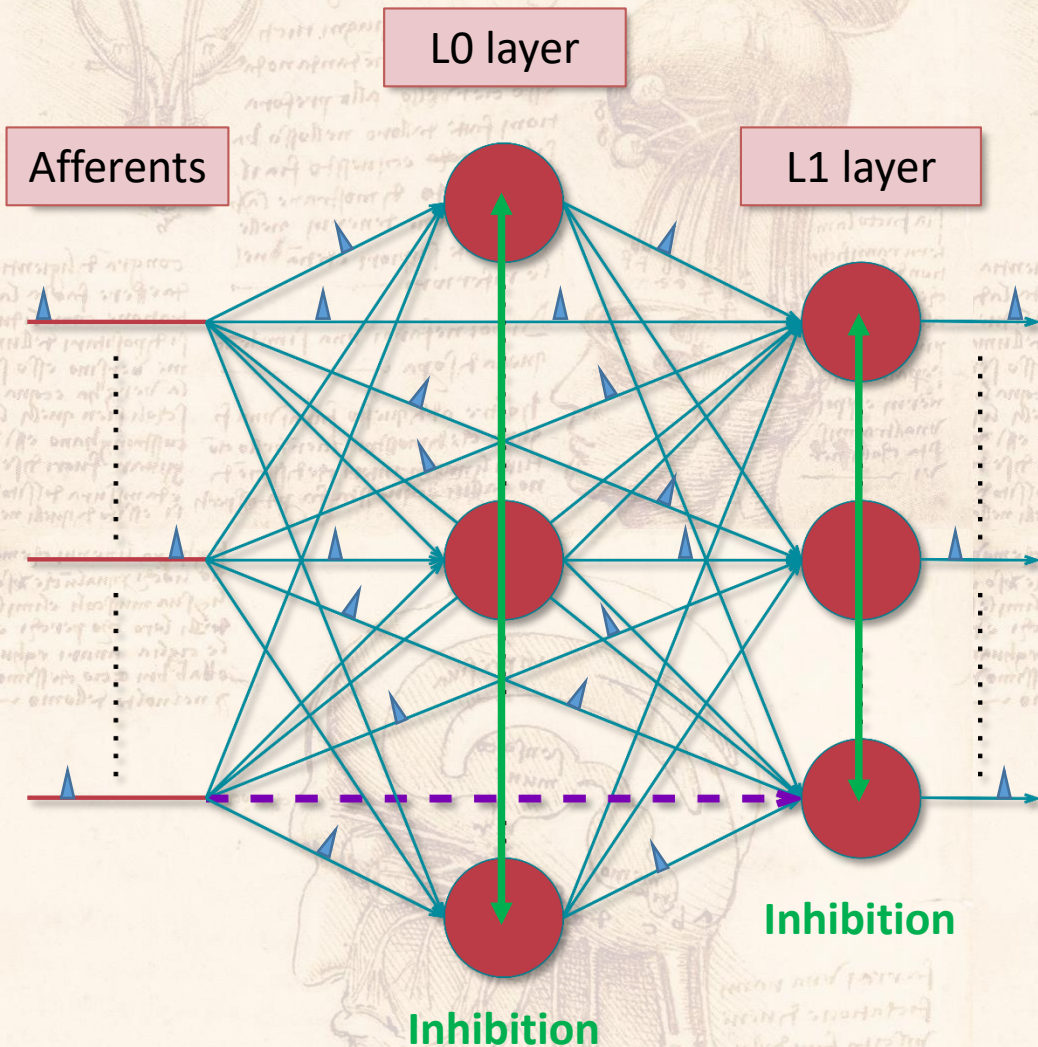
Spike timing-dependent plasticity

- Arrival **time** of **input** spikes (t_{in}) and **activation time** of a neuron t_{act}
- If $t_{in} < t_{act} \rightarrow$ **causal effect** \rightarrow **potentiation** of the synaptic **weight**
- If $t_{in} > t_{act} \rightarrow$ **anti-causal effect** \rightarrow **depression** of the synaptic **weight**



- Completely **unsupervised learning**
- Synaptic weights are adjusted just according to the relative time between the neuron activation and the arrival of input spikes

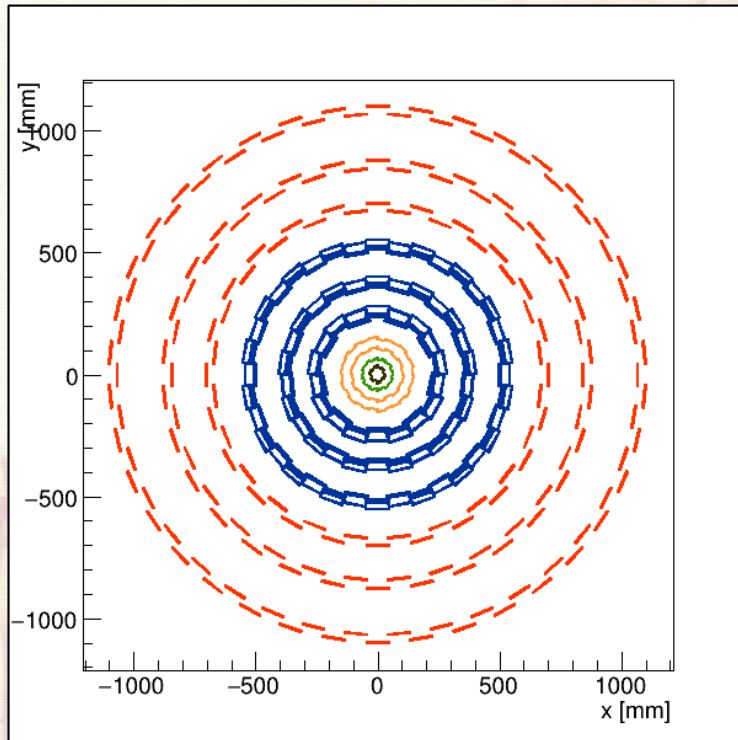
Network architecture



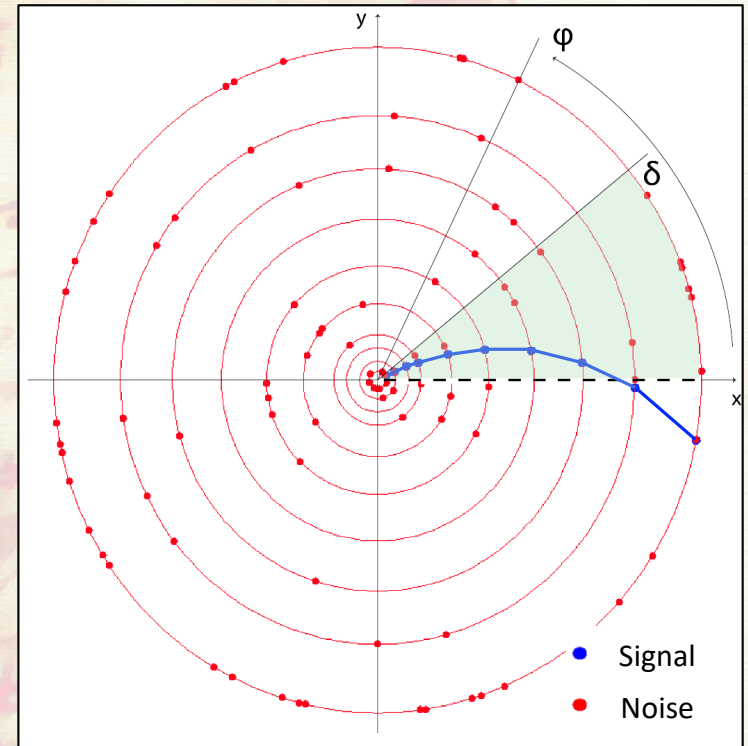
- **Afferents:** Fibres that carry electrical signals from the detector layers to the neural network
- **Two layers of neurons L0, L1 :**
 - Possibility to eliminate connectons - - -
- **20 hyperparameters to be optimize!**

Information encoding

- Detection layer \rightarrow Afferent
- Reading frequency: $f = 40 \text{ MHz}$
- Angular reading speed: $\omega = (2\pi + \delta) \cdot f$
- **Encoding time: $t = \frac{\varphi}{\omega}$**
- $\delta = 0.7 \text{ rad}$ re-reading window to handle border effects

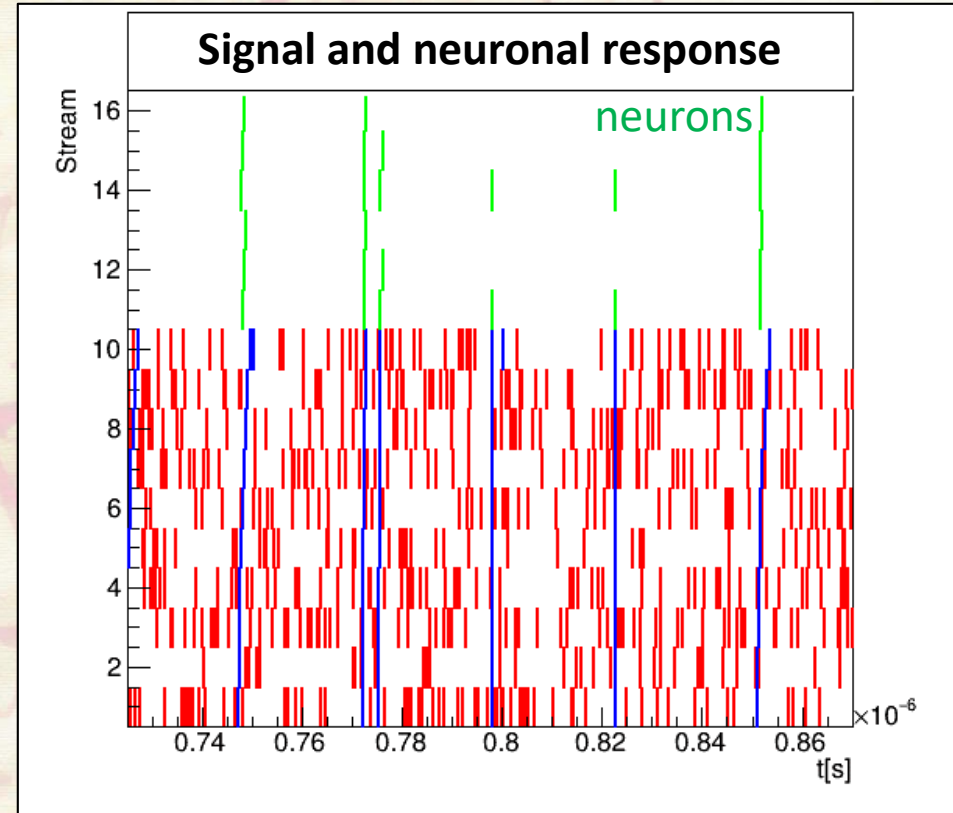
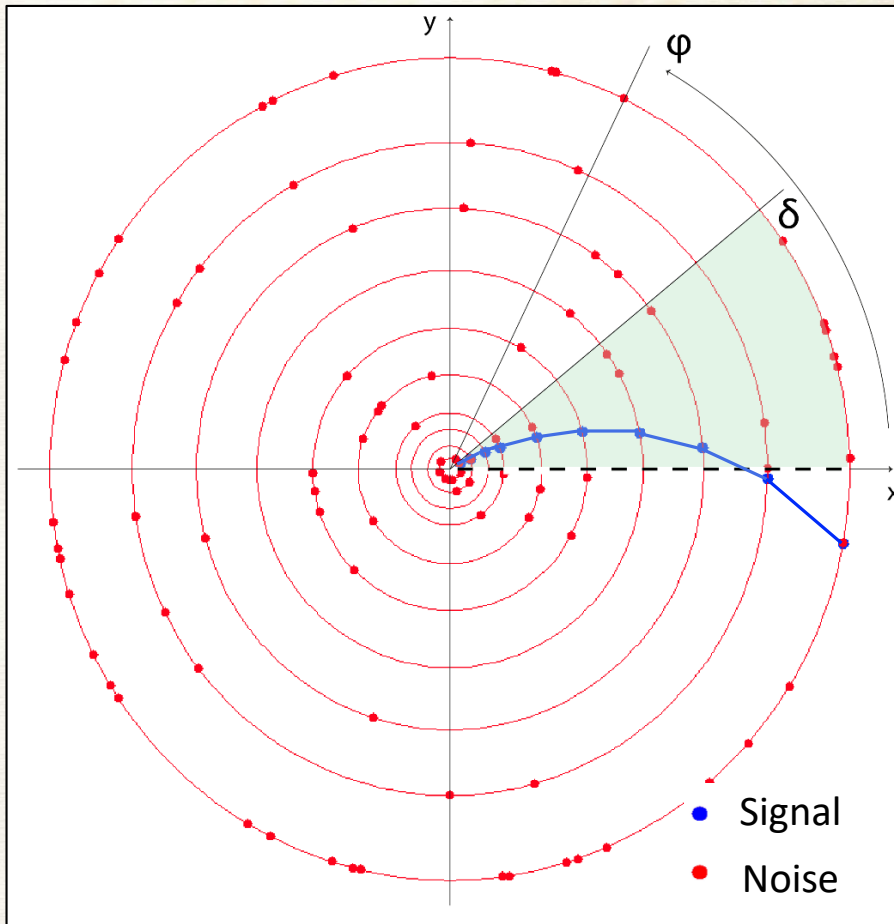


Sketch of the Phase2 tracker in the transverse plane



Simulated event, muon with $p_T = 1 \text{ GeV}$

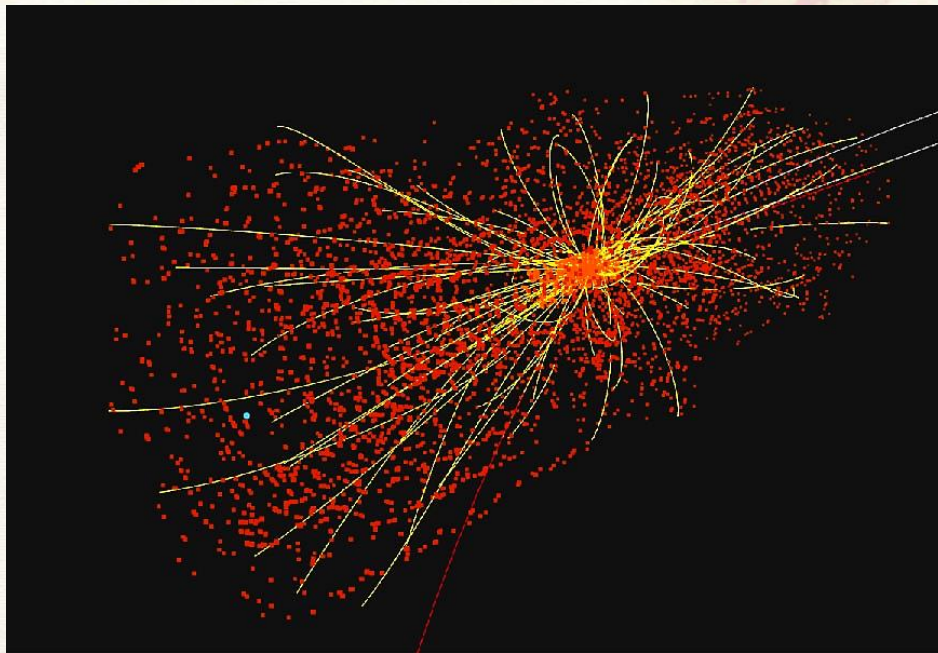
Information encoding



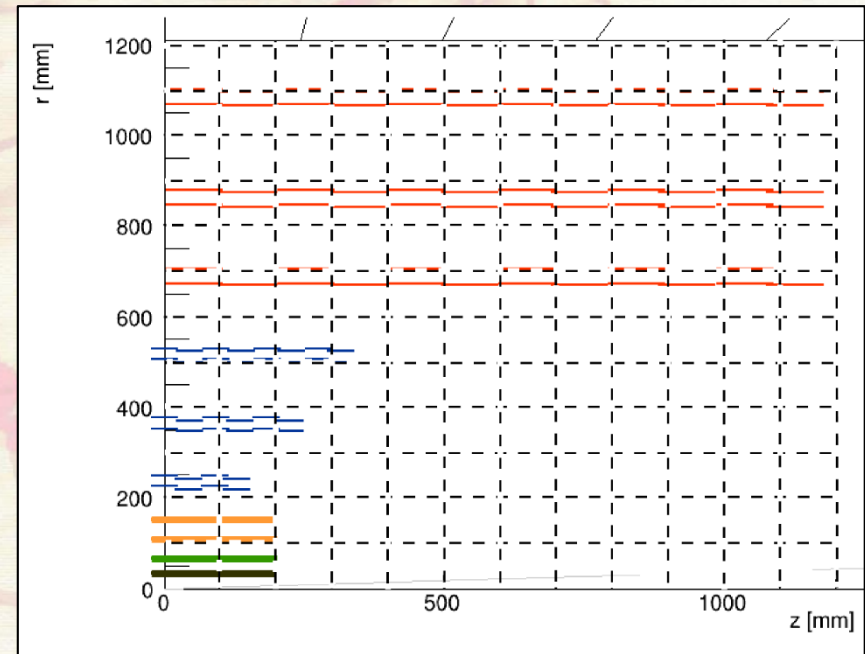
Simulated event, muon with $p_T = 1 \text{ GeV}$

3D information encoding

- Restriction to the central area (*Barrel*)
- r sections: $N_r = 50$
- z sections: $N_z = 50$
- Afferents: $N_a = N_r \cdot N_z = 2500$
- Encoding all the information



3D vision of an event in the CMS tracker

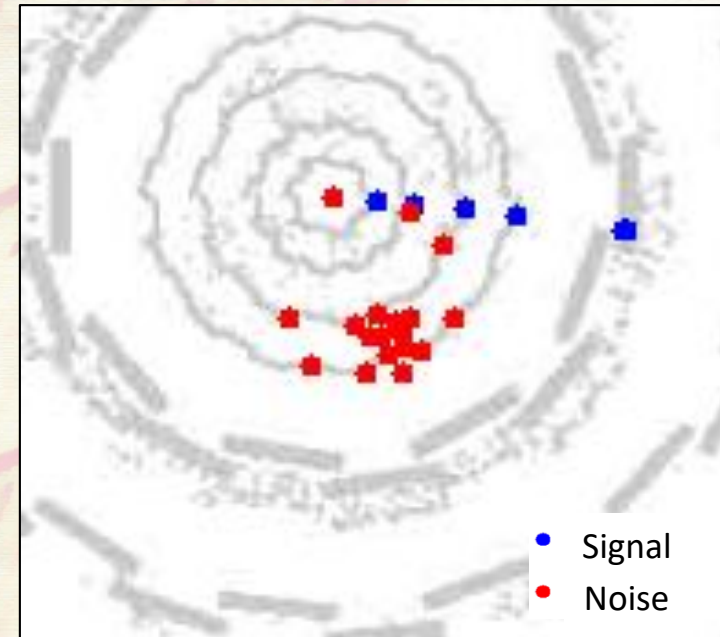


Sketch: layout of the tracker Barrel for Phase2

Datasets

Monte Carlo simulations

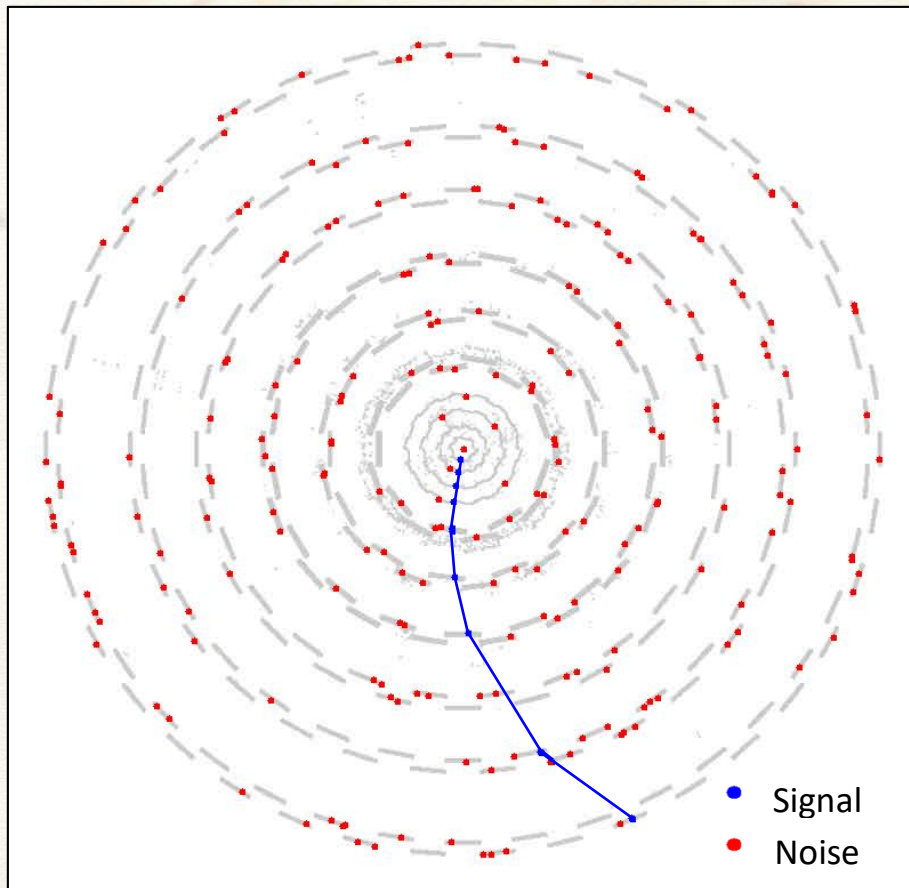
- **1 particle** per event:
 - Muons: $q = -1, p_T \in \{1, 3, 10\} \text{ GeV}$
 - Antimuons: $q = +1, p_T \in \{1, 3, 10\} \text{ GeV}$
- Contains some **interactions with the tracker material**



Detail of an event in which the impact with the tracker material caused the emission of an electron

Datasets

Background



Transverse plane projection of an event containing an antimuon, $p_T = 1 \text{ GeV}$ with $\bar{N}_{hit} = 200$

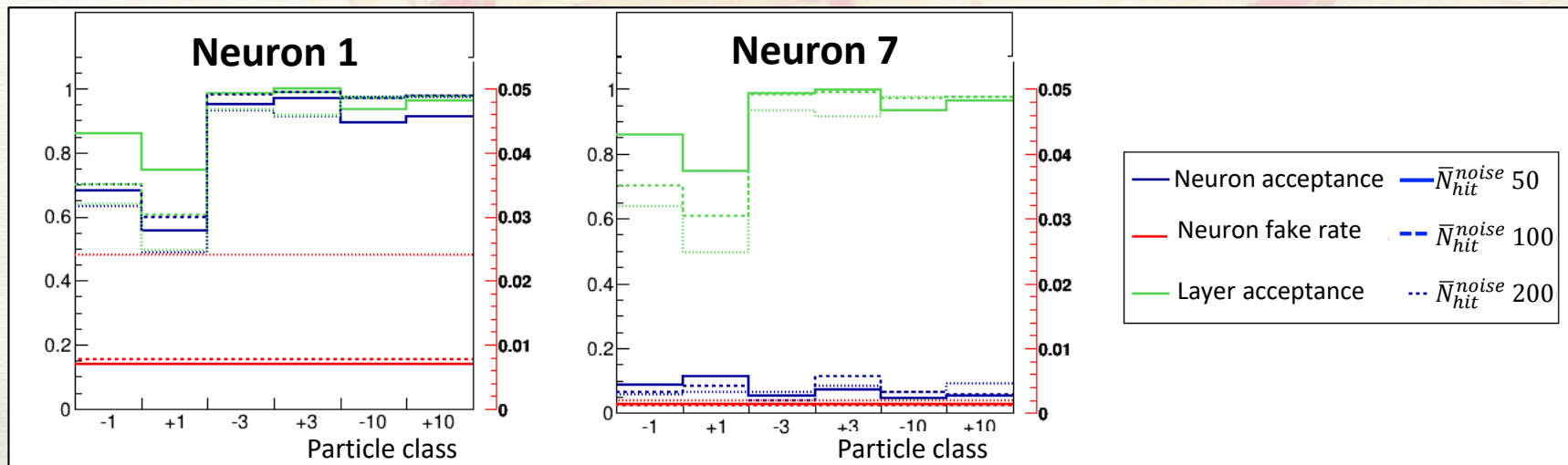
- We superimpose a Poissonian background
- **Background hits** randomly extracted from the signal hits
- $\bar{N}_{hit} = 50, 100, 200$
- $N_{hit}^{signal} \sim 10$

3D model results

- Acceptance $A_{q,p_T} = \frac{\#Events(q,p_T) \text{ in which } L1 \text{ was activated}}{\#Total \text{ events}(q,p_T)}$
- Fake rate $E = \frac{\#Background \text{ events in which } L1 \text{ was activated}}{\#Total \text{ background events}}$

\bar{N}_{hit}	A_{-1}	A_{+1}	A_{-3}	A_{+3}	A_{-10}	A_{+10}	E
50	86.0%	75.7%	98.6%	99.9%	93.5%	96.4%	2.2%
100	70.1%	60.7%	98.4%	98.9%	97.0%	97.6%	2.1%
200	63.9%	49.4%	93.5%	91.6%	97.5%	97.4%	3.9%

- ✓ Better results in high p_T patterns
- ✓ Low fake rate < 5%
- ✗ Poor specialization of the neurons



Achievements and challenges

First implementation and proof of work of a **Spiking Neural Network** for the **identification** of particle trajectories produced in high-energy collisions

Successes

- ✓ The network **learns autonomously** to recognize tracks from noise
- ✓ Acceptance > 90% for particles with $p_T \geq 3 \text{ GeV}$
- ✓ Low false positive rate (<5%)

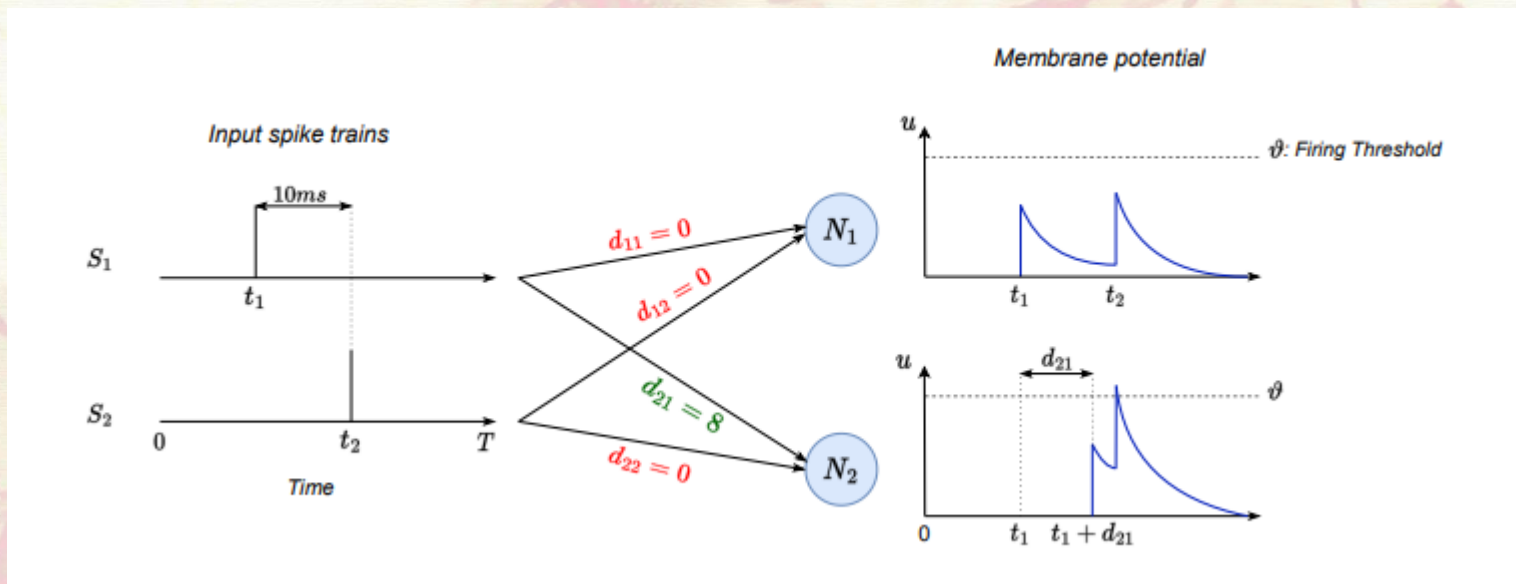
Limitations and future challenges

- ✗ Poor neuron specialization
- ✗ Multi-track event management
- ✗ Difficult optimization of hyperparameters
- ✗ Better management of 3D information

Active fields

Unsupervised delay learning

- Synaptic delays are another degree of freedom that we could exploit
- Delay adaptation to different signals \rightarrow improve the specialization

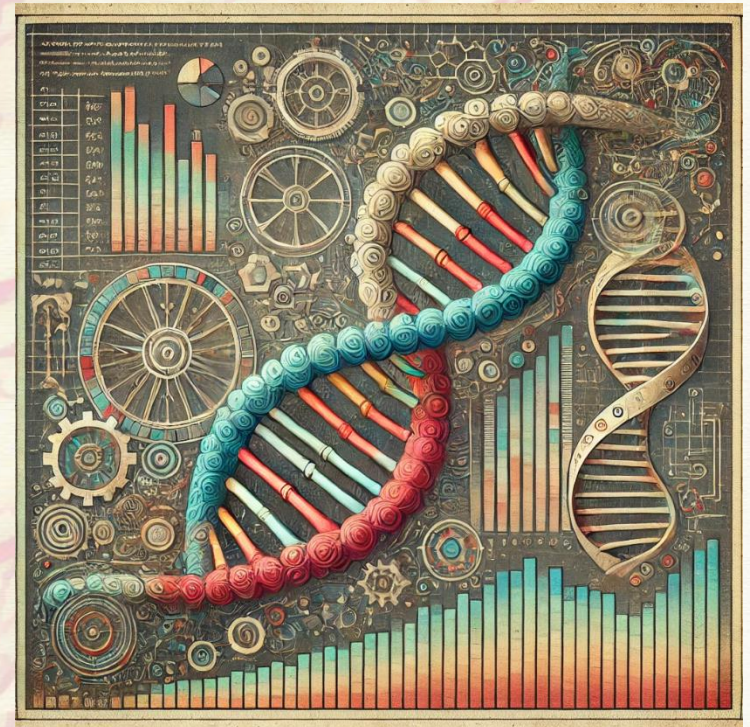


I. Hammouamri et al., "Learning Delays in Spiking Neural Networks using Dilated Convolutions with Learnable Spacings", arXiv preprint, 2023

Active fields

Genetic Algorithm

- Genetic algorithms are inspired by natural selection
- Application for hyperparameters tuning:
 - Can handle **large spaces** effectively.
 - Works well with **non-differentiable**, **discontinuous**, and **noisy** search spaces.
 - Can **avoid** getting stuck in **local minima**, unlike some traditional methods.



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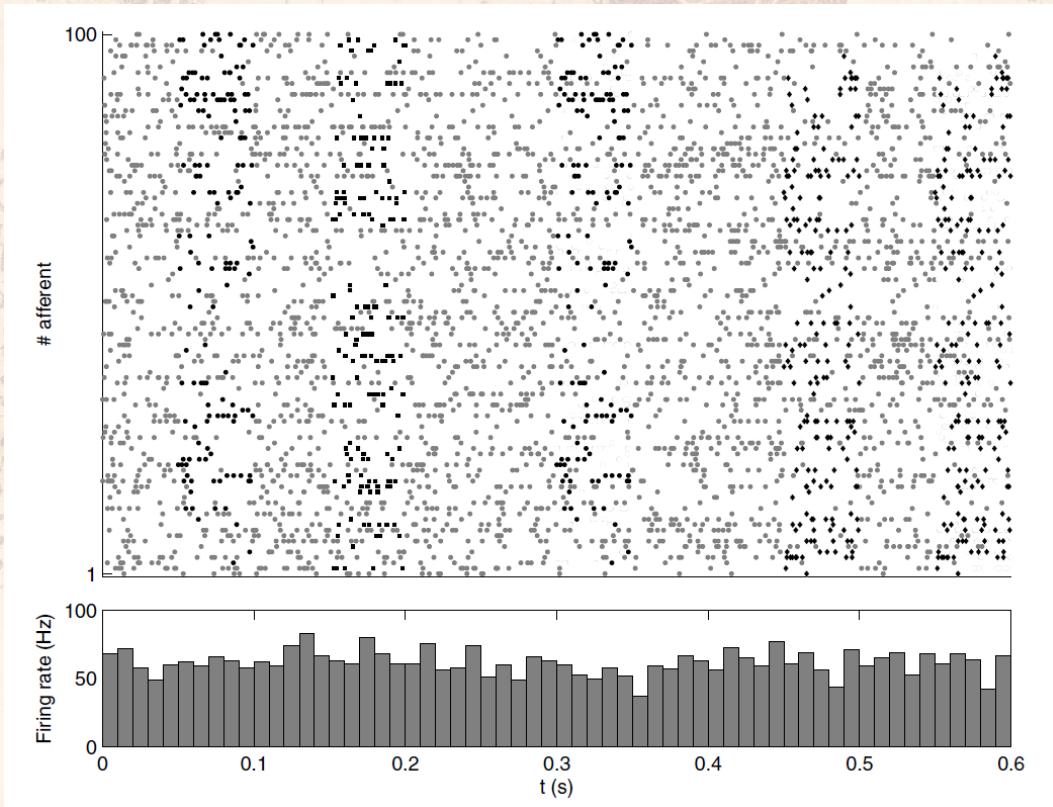
Thanks
for your attention

Emanuele Coradin

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Enrico Lupi, Jinu Raji, Fredrik Sandin, Mia Tosi

Spiking neural network

Reference model: Masquelier et al.



T. Masquelier et al., "Competitive STDP-based spike pattern learning", Neural Computation, may 2009


Technical features

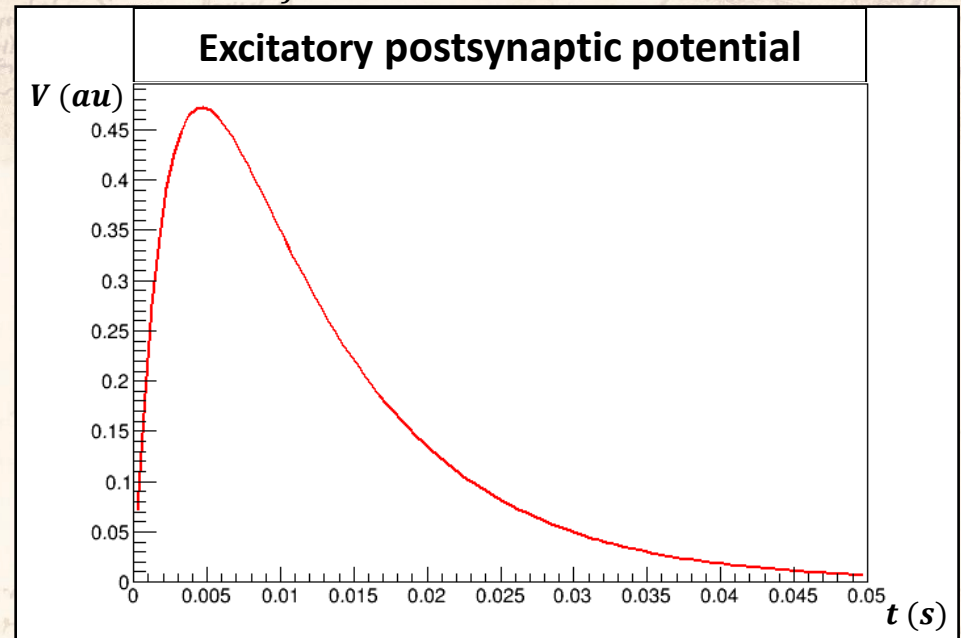
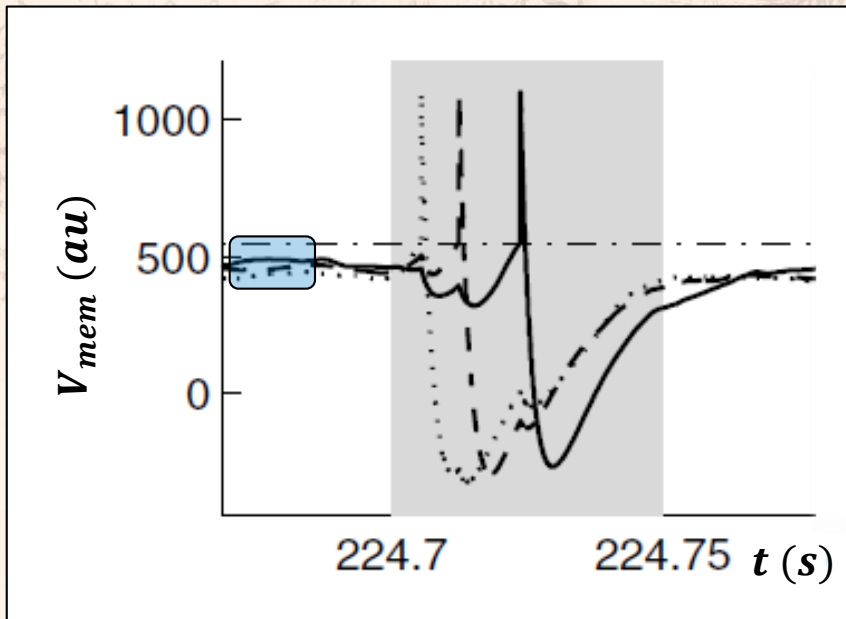
- Spike-timing-dependent plasticity
- Leaky integrate-and-fire neurons
- Single layer network

Achievements


- A simple SNN learns to **recognize complex patterns** in a **noisy environment**
- Poisson noise with embedded patterns
- **Patterns repeat randomly** in a **continuous regime**

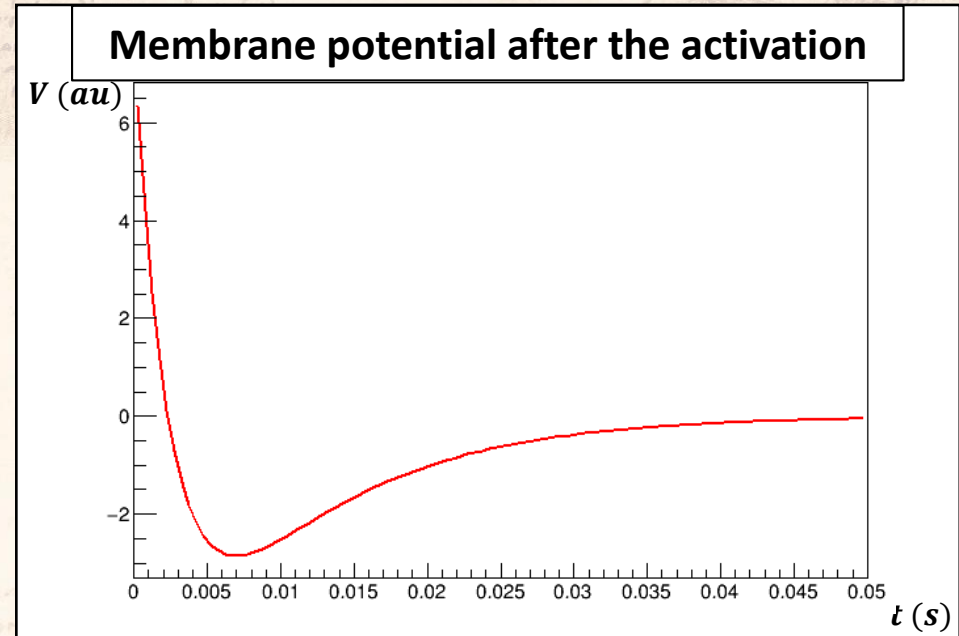
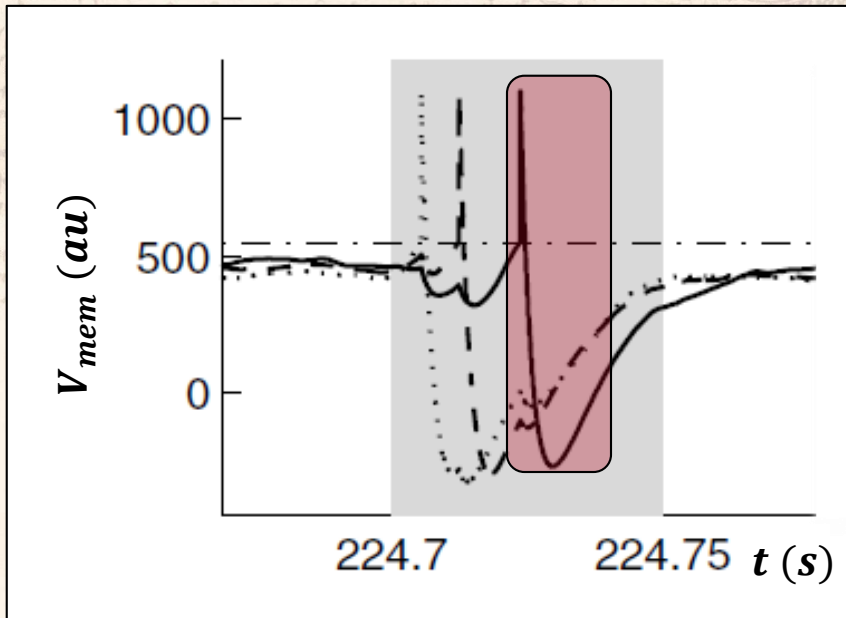
Leaky integrate-and-fire neuron (LIF)

- Input pulse at the synapse → **Excitatory postsynaptic potential (EPSP)** 
- $\varepsilon(t - t_j) = K \cdot \left[\exp\left(-\frac{t-t_j}{\tau_m}\right) - \exp\left(-\frac{t-t_j}{\tau_s}\right) \right] \cdot \theta(t - t_j)$
- τ_m : Membrane characteristic time
- τ_s : Synapse characteristic time
- **K** multiplicative constant
- t_j pulse arrival time



Leaky integrate-and-fire neuron (LIF)

- Potential exceeds threshold $T \rightarrow$ **Neuron activation** \rightarrow output pulse 
- $\eta(t - t_i) = T \cdot \left\{ K_1 \cdot \exp\left(-\frac{t-t_i}{\tau_m}\right) - K_2 \cdot \left[\exp\left(-\frac{t-t_i}{\tau_m}\right) - \exp\left(-\frac{t-t_i}{\tau_s}\right) \right] \right\} \cdot \theta(t - t_i)$
- τ_m : Membrane characteristic time
- τ_s : Synapse characteristic time
- K_1, K_2 multiplicative shape constants
- t_i activation time

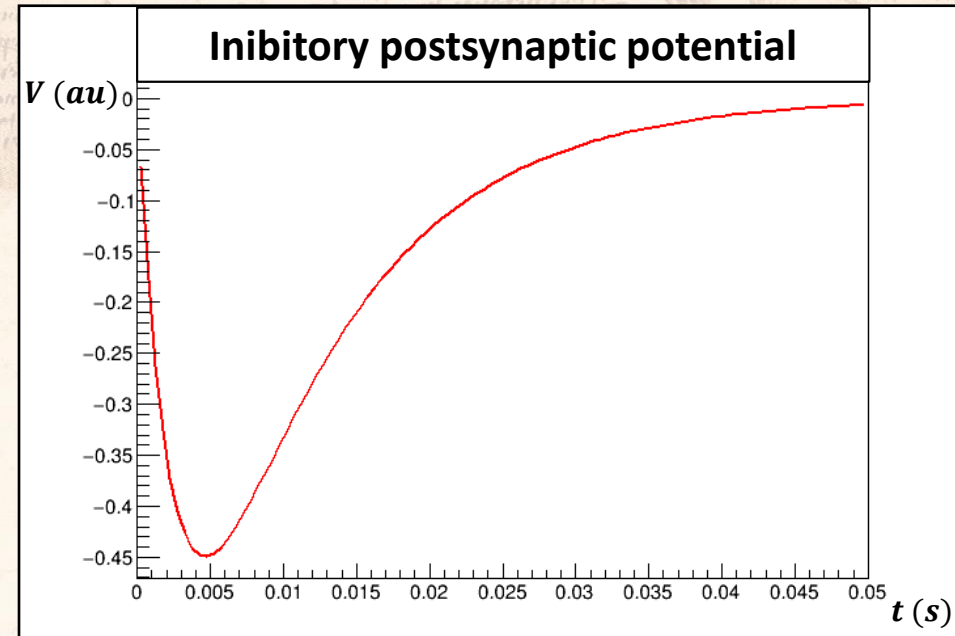
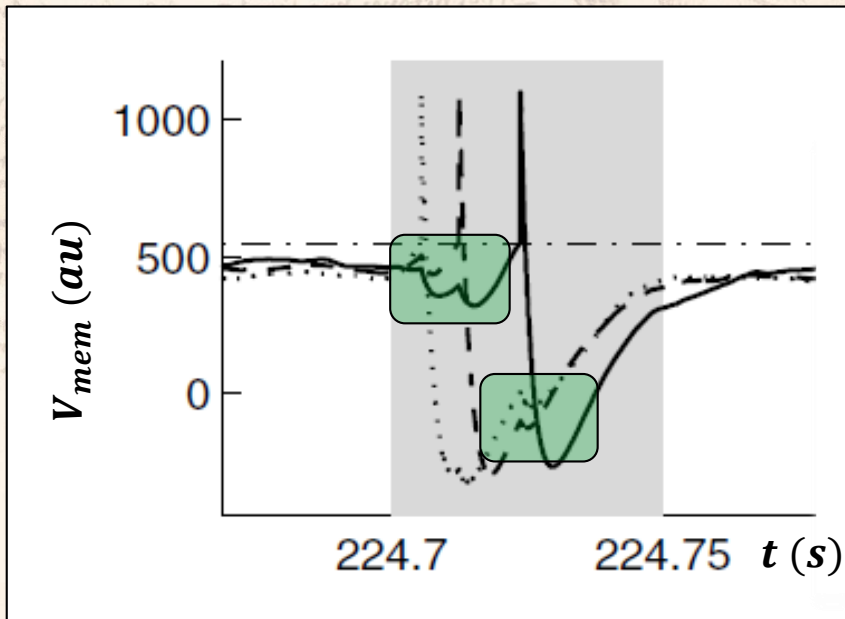


Leaky integrate-and-fire neuron (LIF)

- Neuron activates \rightarrow It inhibits neurons in its layer \rightarrow **Inhibitory postsynaptic potential (IPSP)**
- $\mu(t - t_k) = -\alpha \cdot T \cdot \varepsilon(t - t_k)$
- α multiplicative intensity constant

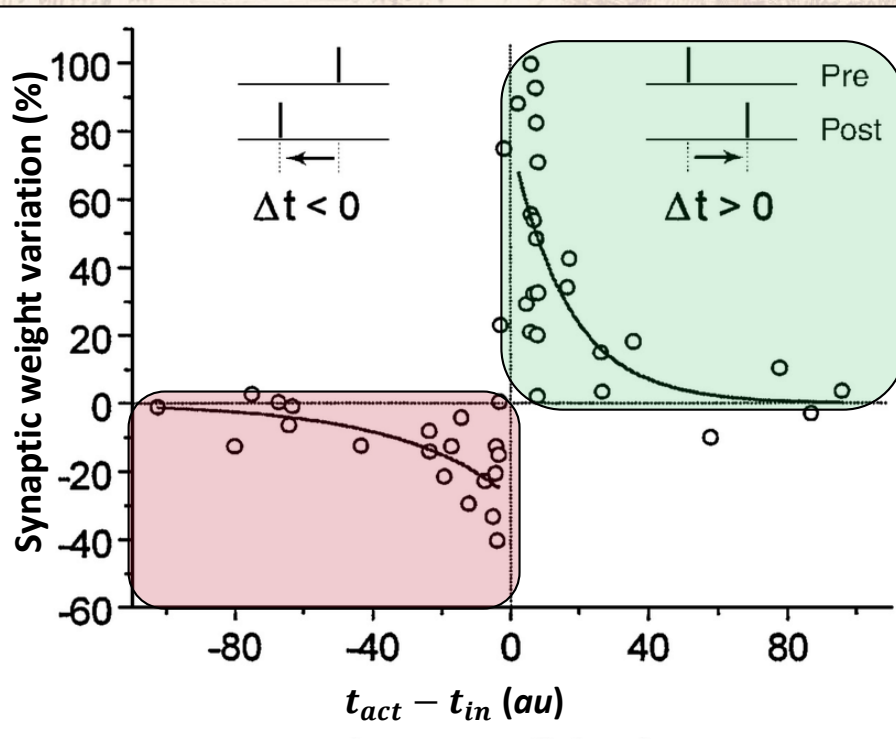


Competition among neurons



Learning algorithm: STDP

- **Spike timing-dependent plasticity (STDP):**
- Synaptic weights are adjusted only according to the arrival **time of input spikes (t_{in})** and the **activation time of a neuron t_{act}**
- If $t_{in} < t_{act} \rightarrow$ **casual effect** \rightarrow **potentiation** of the synaptic **weight**
- If $t_{in} > t_{act} \rightarrow$ **anti-causal effect** \rightarrow **depression** of the synaptic **weight**



- Completely **unsupervised learning**

- Parameters:

- τ^+, τ^- Characteristic times

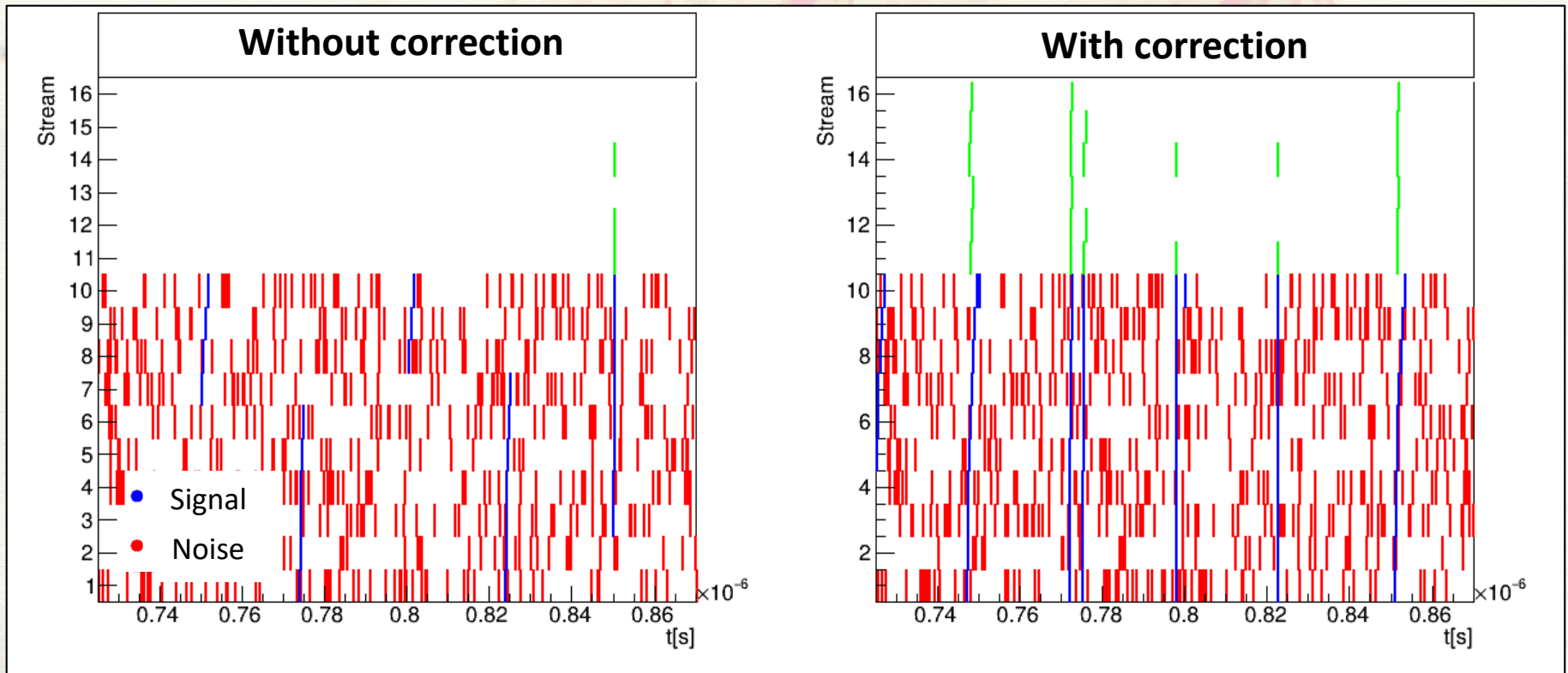
- a^+, a^- Learning constants

$$\Delta\omega = \begin{cases} a^+ \cdot \exp\left(\frac{t_{act} - t_{in}}{\tau^+}\right) & \text{if } t_{act} \leq t_{in} \\ -a^- \cdot \exp\left(-\frac{t_{act} - t_{in}}{\tau^-}\right) & \text{if } t_{act} > t_{in} \end{cases}$$



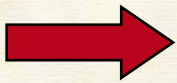
Border effects

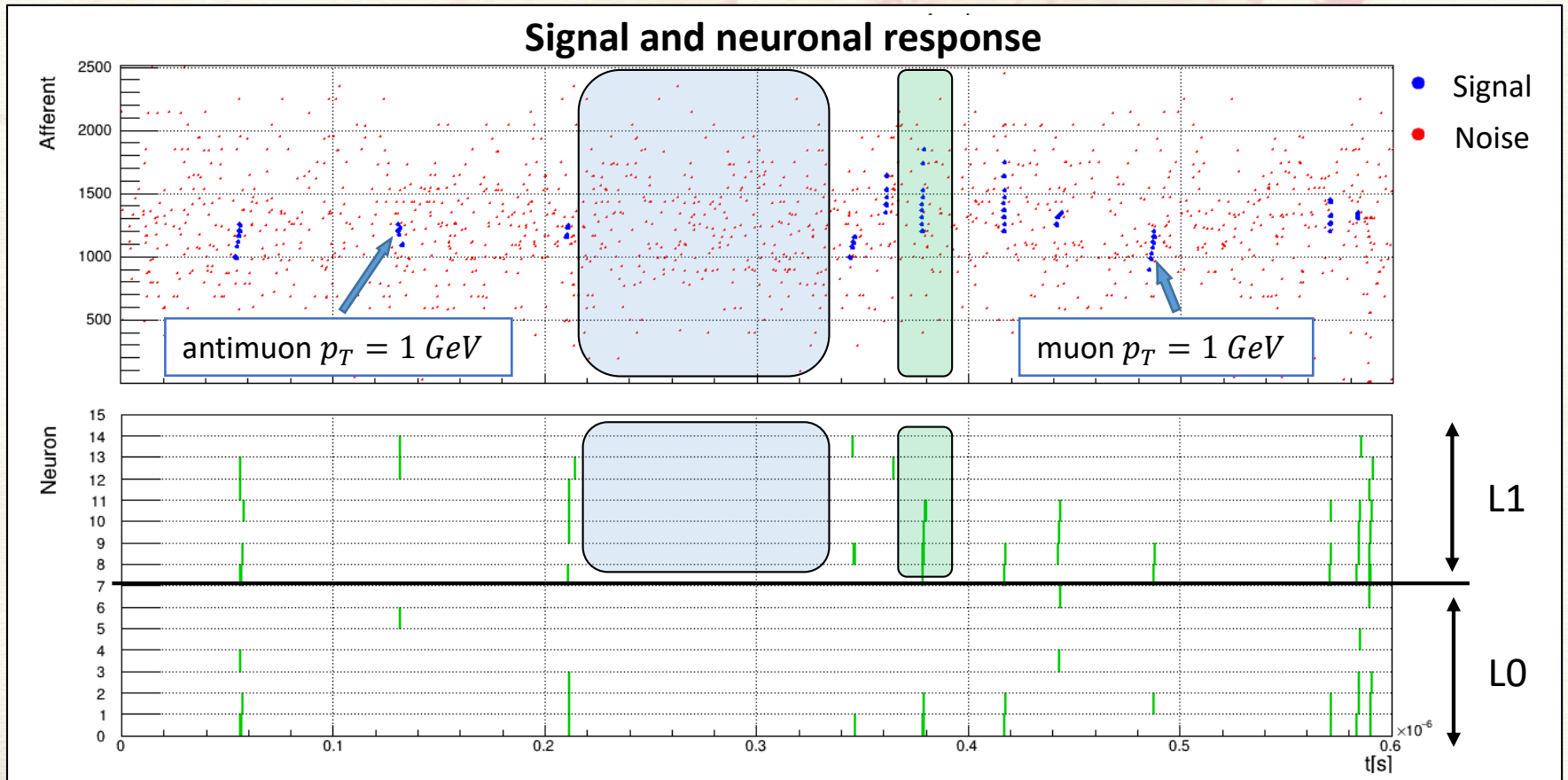
- Discontinuous signal encoding
- Increase in learning difficulties

- Continuous signal encoding
- Better performance
- Presence of duplicates



3D model results

- Activation of neurons at **signal pulses** 
 - Inactive neurons at **noise pulses** 
-  The network has **learnt autonomously** to recognize tracks from noise



3D model results

- Possible problems:

- Activation during **noise events** → False positive

- Failure to recognize **signal track**

