

4th MODE workshop Valencia  
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# Reconstruction of p-p collisions with CMS using neuromorphic computing

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- Tracking in dense environment

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# Introduction: CMS

## CMS detector

- “ Compact Muon Solenoid “
- Cylindrical structure composed of:

➤ **Silicon tracker:**  
to track charge particles and measure their momentum

➤ Electromagnetic calorimeter

➤ Hadronic calorimeter

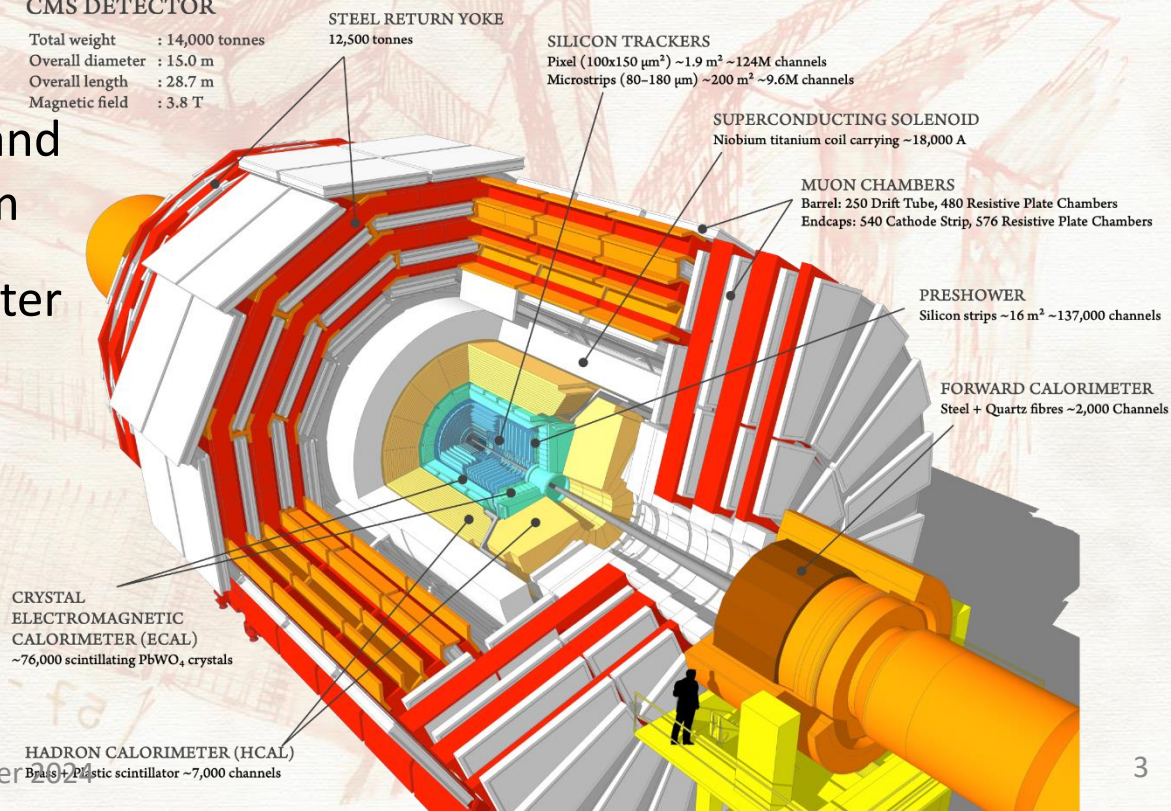
➤ Superconducting magnet

- $\vec{B} = (3.8 \text{ T}) \hat{z}$

➤ Muon chambers

### CMS DETECTOR

Total weight : 14,000 tonnes  
Overall diameter : 15.0 m  
Overall length : 28.7 m  
Magnetic field : 3.8 T





# Introduction: CMS

## Phase2 tracker

- Silicon detectors  
→ excellent spatial resolution  $O(\mu\text{m})$
- Passage of a charged particle:  
→ local charge accumulation (**cluster**)  
→ 3D position (**hit**)

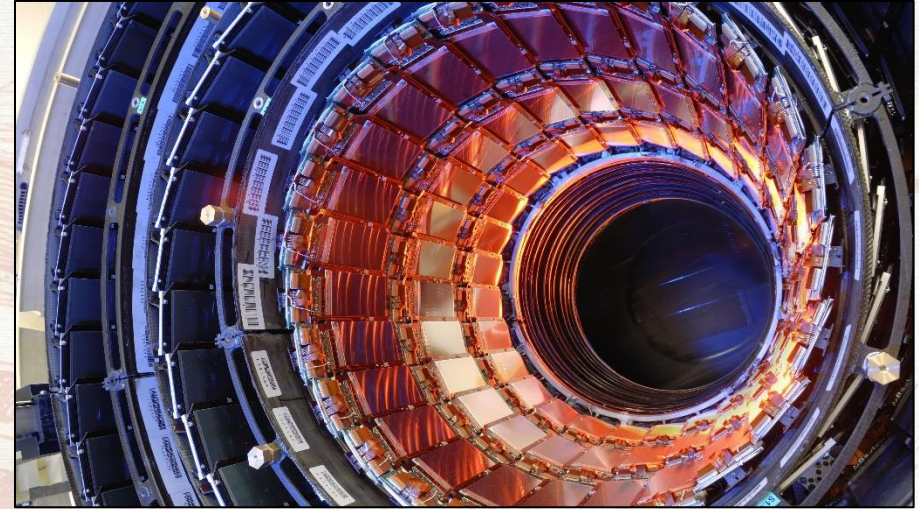
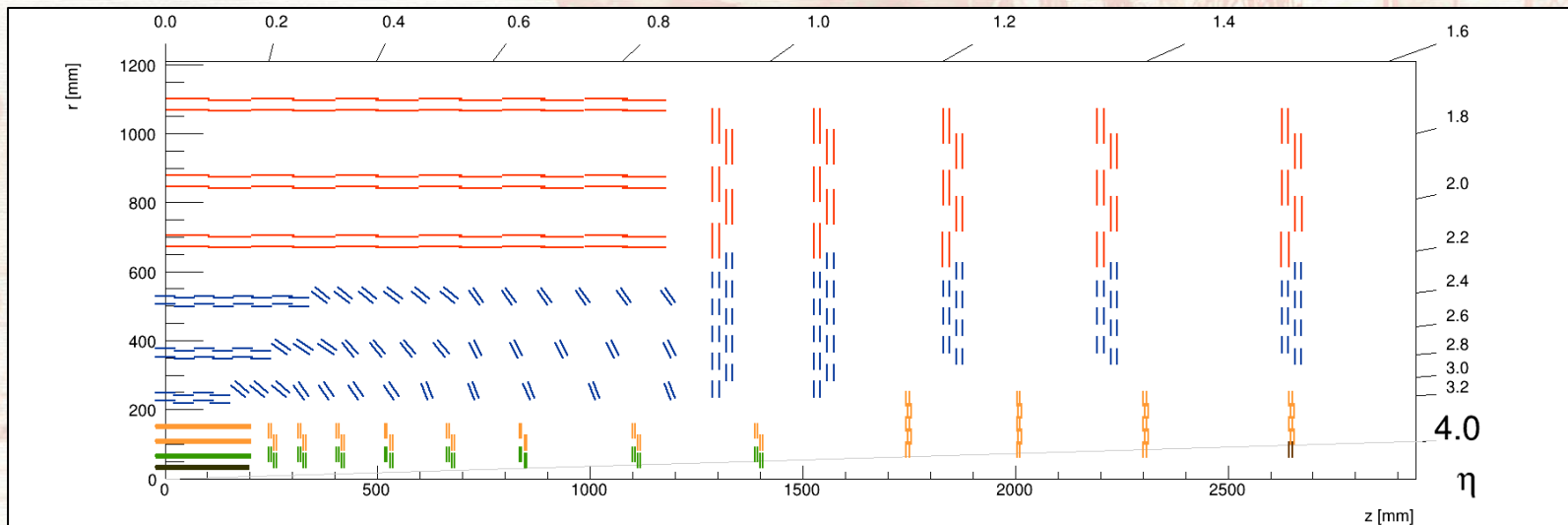


Photo: strip detector (Run 1, 2 e 3)



Sketch: Phase2 tracker layout

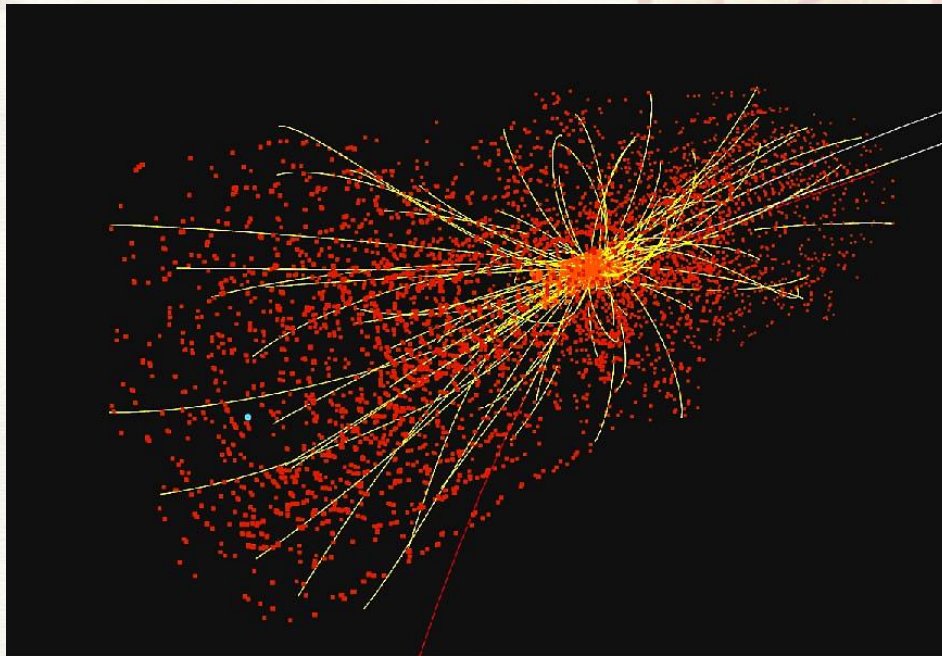
# Tracking in dense environments

Proton-proton collision event revealed by CMS

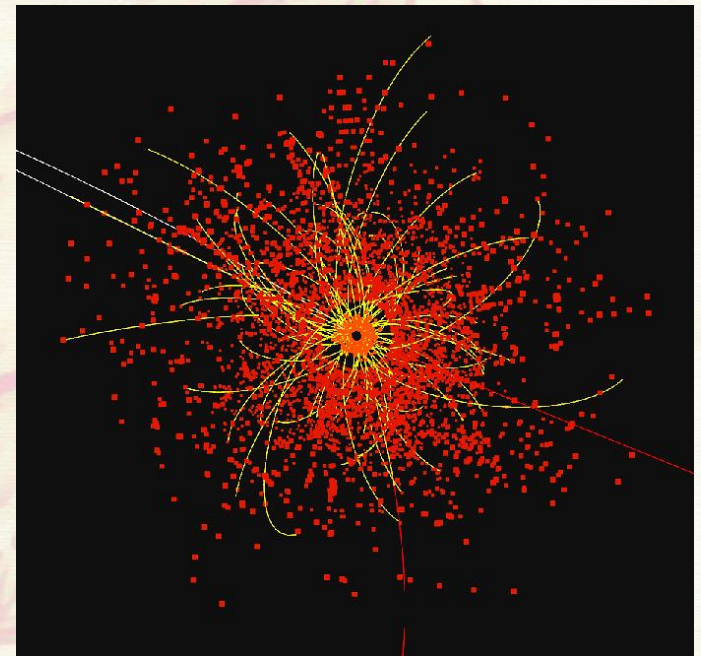
■ Hit on the detectors

— Reconstructed track

The density will increase even further during the  
High Luminosity LHC!



3D vision of an event in the CMS tracker



Transverse plane vision

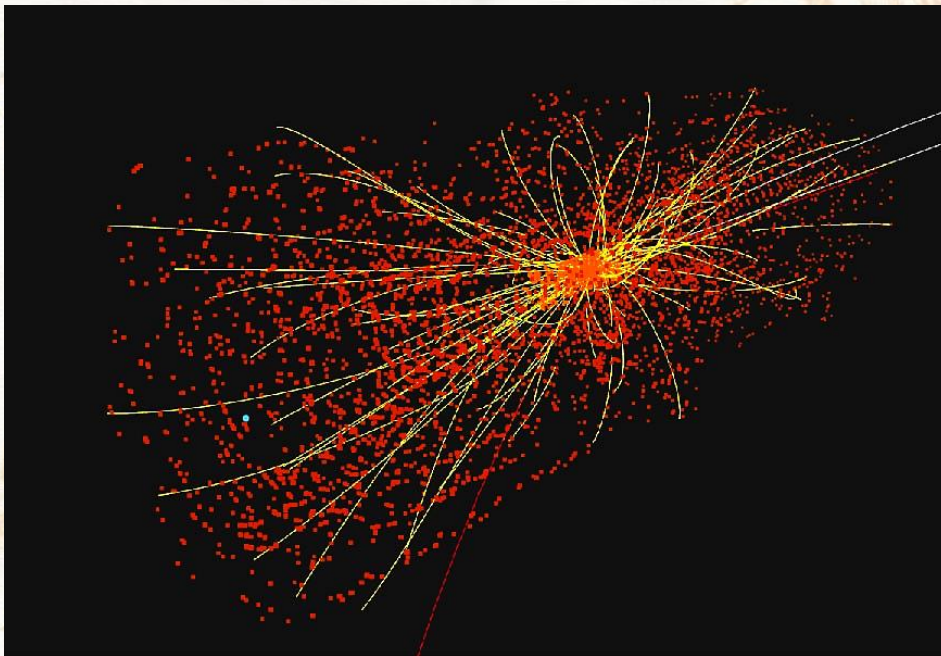


# Goal

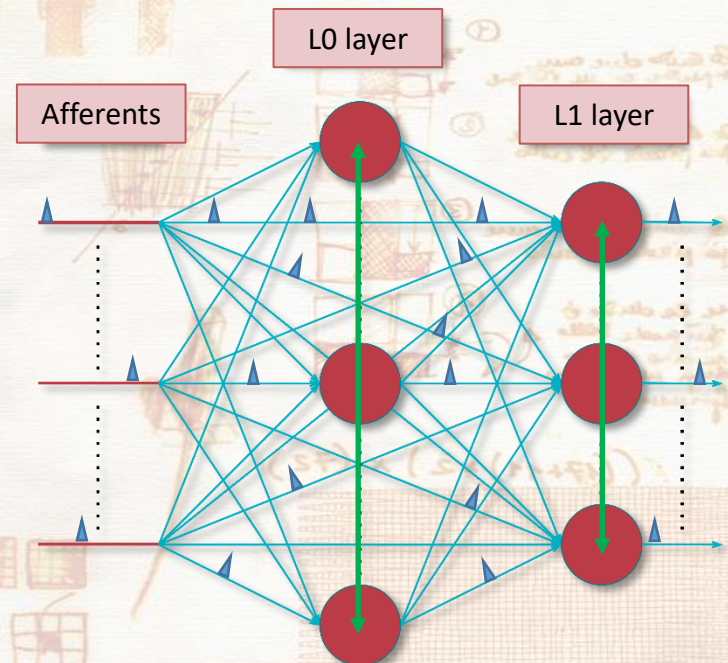
Identifying and reconstructing tracks is computationally complex problem



Innovative use of **Spiking Neural Networks** to complement *pattern recognition*



3D vision of an event in the CMS tracker



Spiking Neural Network architecture

# Spiking neural network

## What's neuromorphic computing

- **Spiking neural networks:** biologically plausible modelling of the behaviour of natural neural networks
- Implementing neurons and synapses in specialized hardware

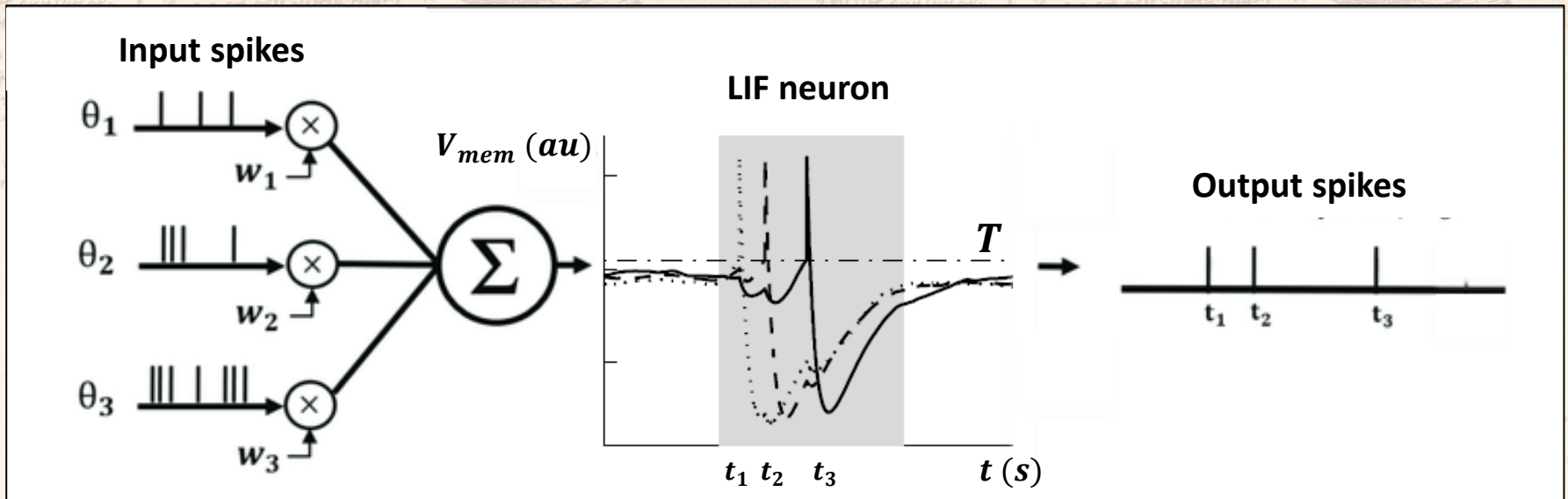
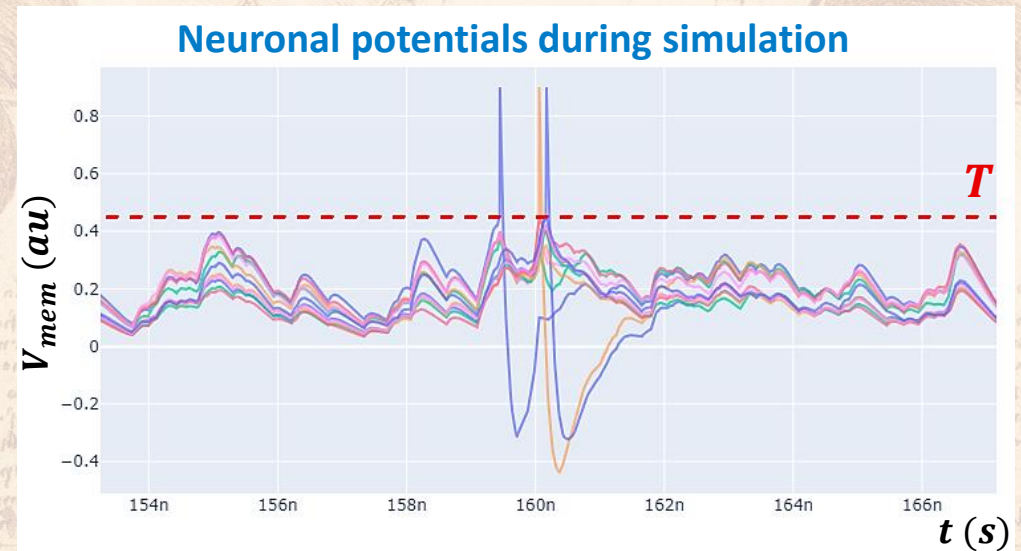
## Distinctive features

- **Energy efficiency:** Operates with minimal power
- **Different computing paradigm:**
  - Both processing and memory are governed by the neurons and the synapses
  - **Event-driven computation**
  - Natural encoding of temporal information
- But usually harder to train






# Leaky integrate-and-fire neuron (LIF)

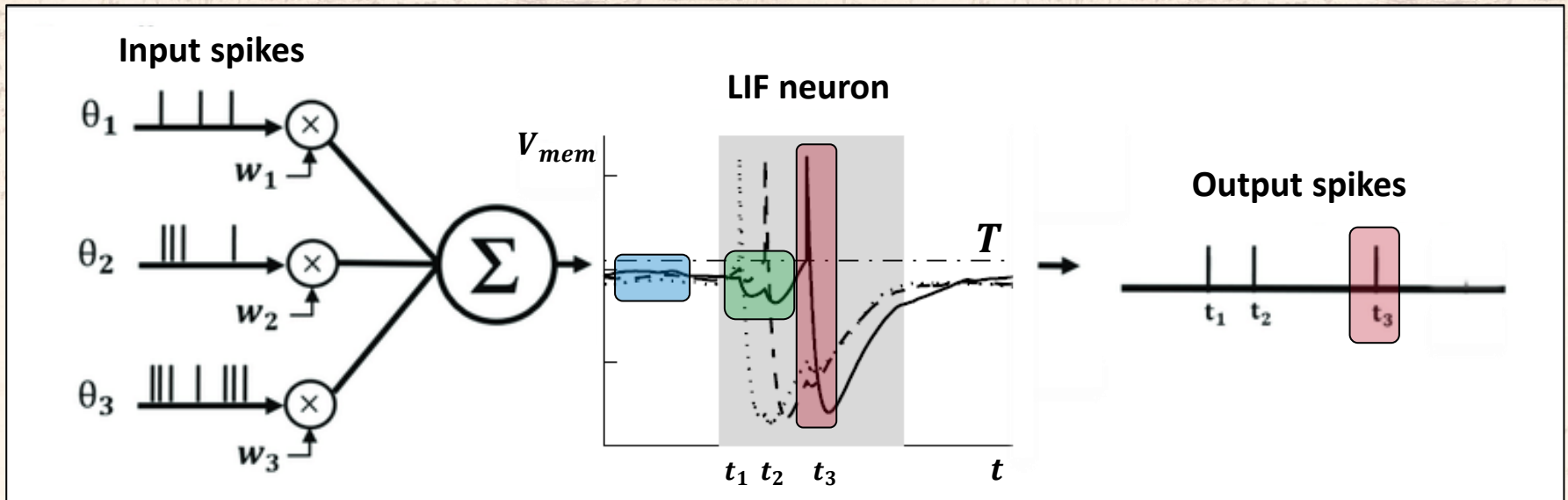
- The **neuron** is modelled with an **RC circuit**
  - $R \rightarrow$  ion dispersion
  - $C \rightarrow$  membrane capacitance
- Information encoded in the arrival time of electrical impulses (*Spikes*)





# Leaky integrate-and-fire neuron (LIF)

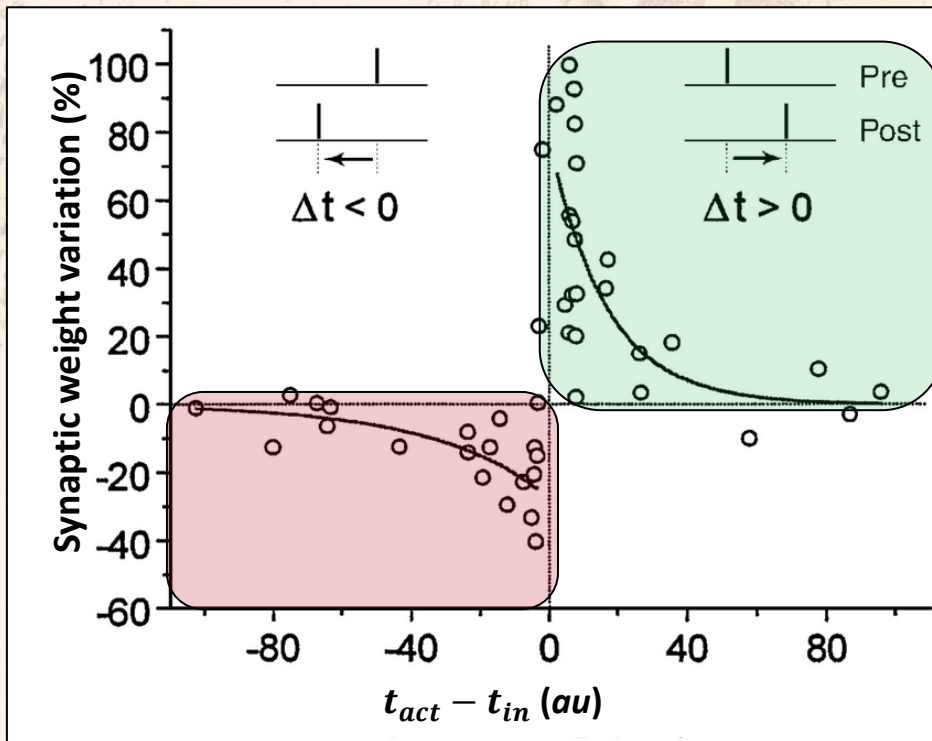
- Input spike  $\rightarrow$  **Increasing** membrane potential 
- Membrane potential  $V_{mem}$  exceeds threshold  $T \rightarrow$  **Neuron activation** 
- **Inhibition** of neurons belonging to the **same layer**   
 $\rightarrow$  Competition between neurons  $\rightarrow$  **Specialization**



# Learning algorithm: STDP

## Spike timing-dependent plasticity

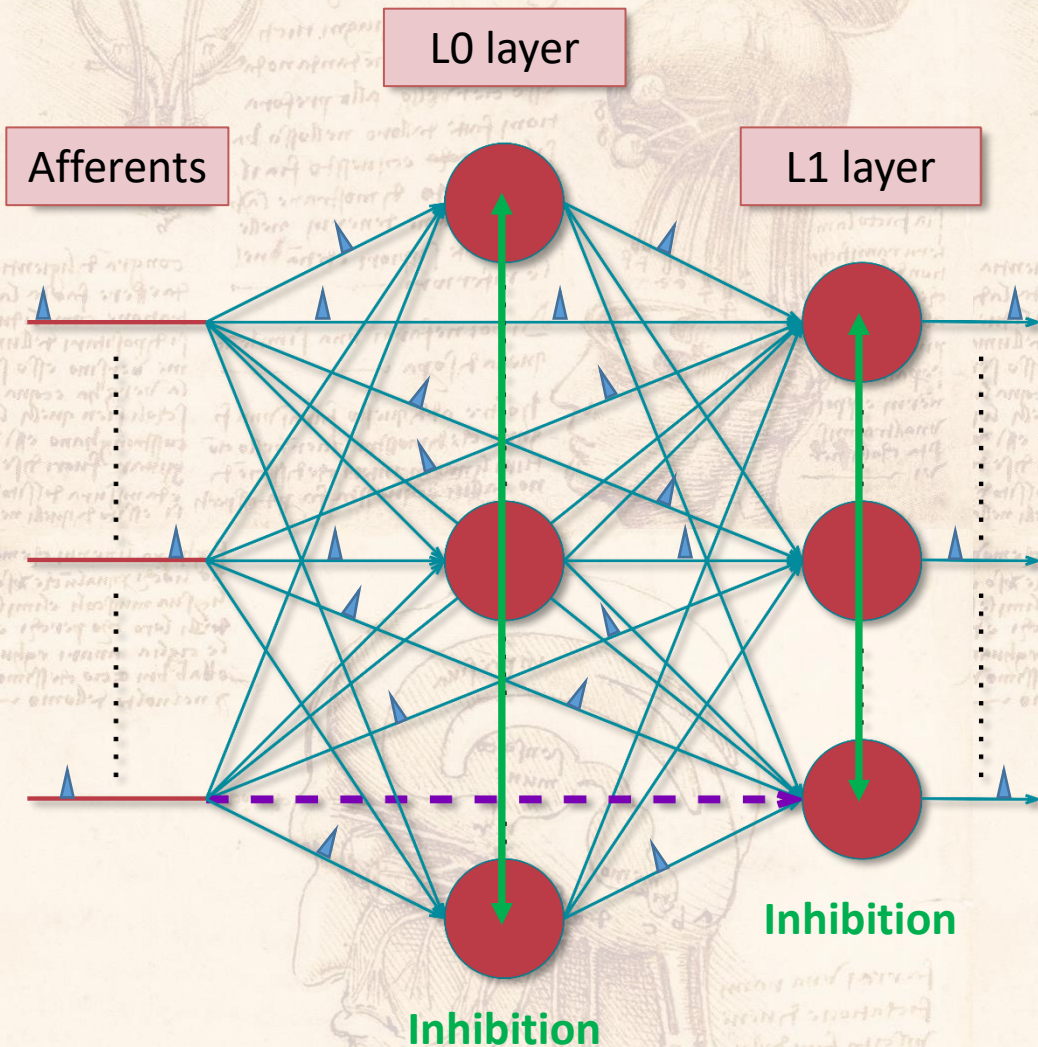
- Arrival **time** of **input** spikes ( $t_{in}$ ) and **activation time** of a neuron  $t_{act}$
- If  $t_{in} < t_{act} \rightarrow$  **causal effect**  $\rightarrow$  **potentiation** of the synaptic **weight**
- If  $t_{in} > t_{act} \rightarrow$  **anti-causal effect**  $\rightarrow$  **depression** of the synaptic **weight**



- Completely **unsupervised learning**
- Synaptic weights are adjusted just according to the relative time between the neuron activation and the arrival of input spikes



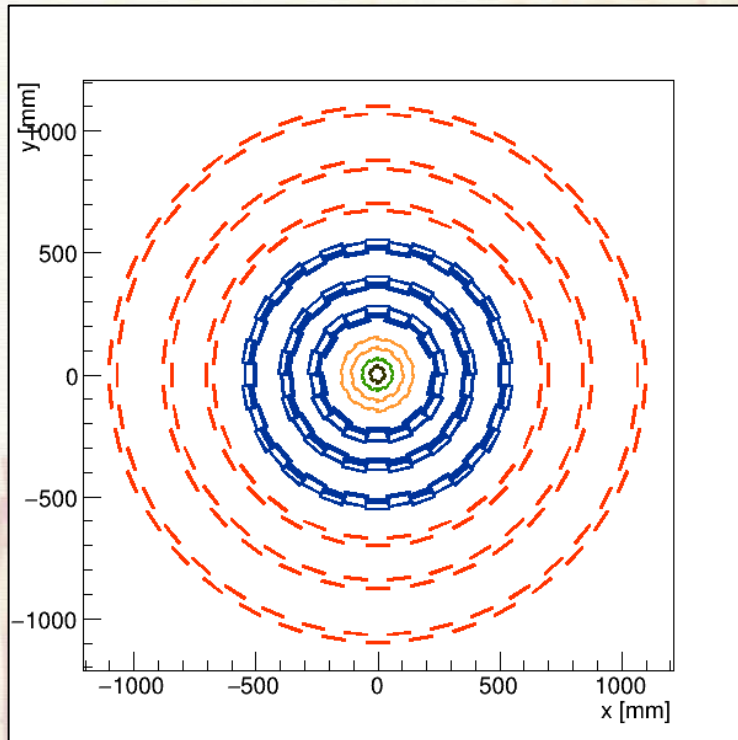
# Network architecture



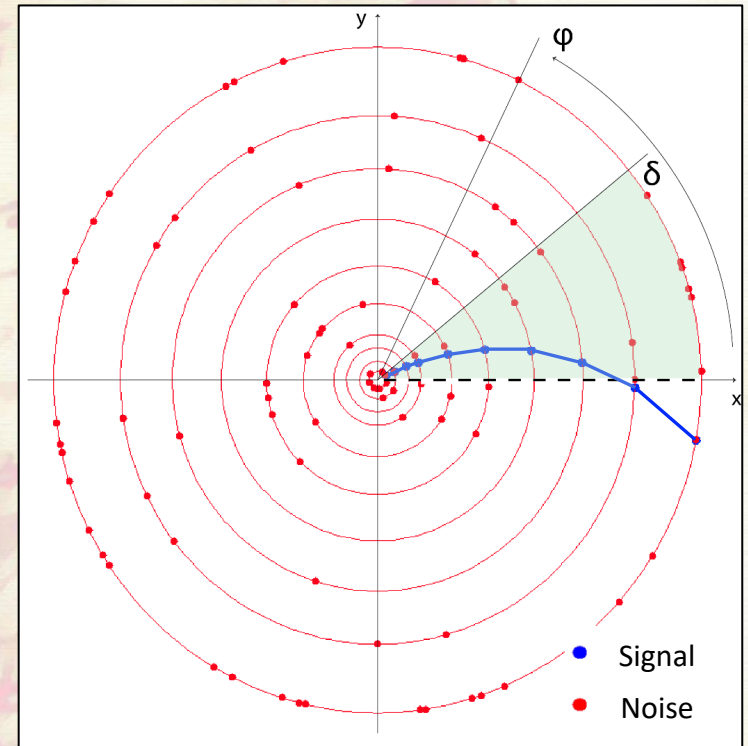
- **Afferents:** Fibres that carry electrical signals from the detector layers to the neural network
- **Two layers of neurons L0, L1 :**
  - Possibility to eliminate connectons - - -
- **20 hyperparameters to be optimize!**

# Information encoding

- Detection layer  $\rightarrow$  Afferent
- Reading frequency:  $f = 40 \text{ MHz}$
- Angular reading speed:  $\omega = (2\pi + \delta) \cdot f$
- **Encoding time:  $t = \frac{\varphi}{\omega}$**
- $\delta = 0.7 \text{ rad}$  re-reading window to handle border effects



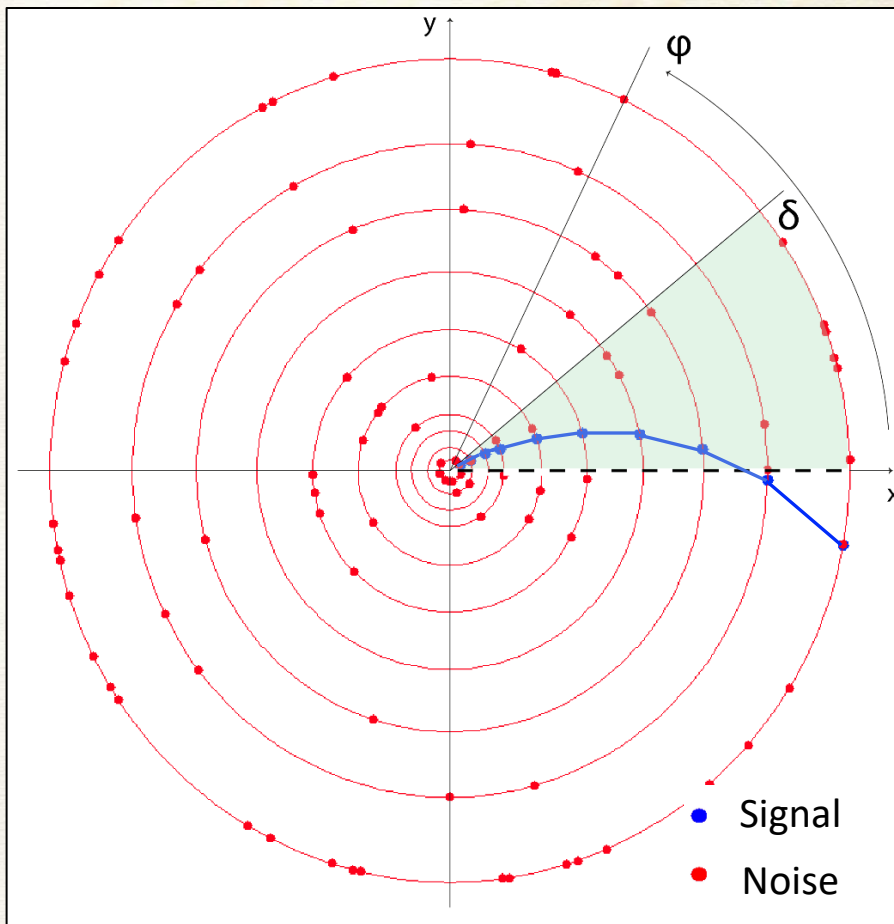
Sketch of the Phase2 tracker in the transverse plane



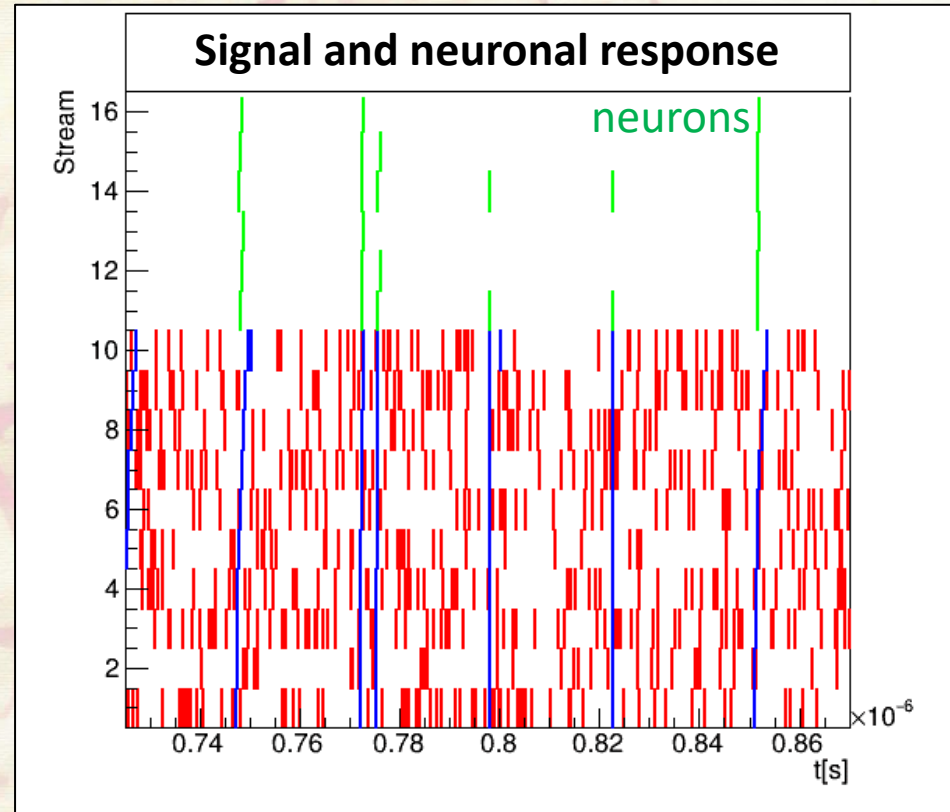
Simulated event, muon with  $p_T = 1 \text{ GeV}$



# Information encoding

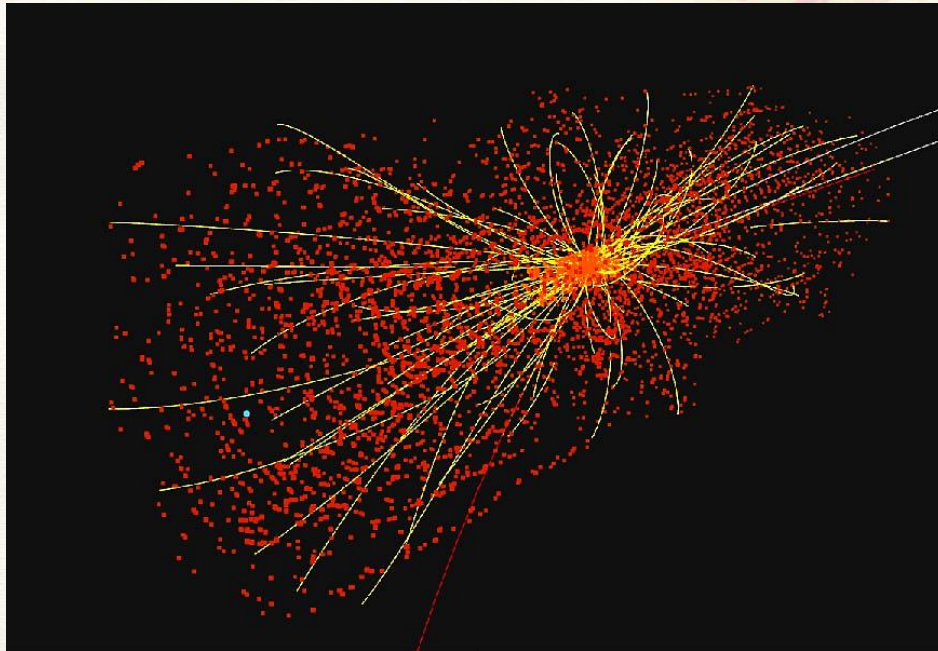


Simulated event, muon with  $p_T = 1 \text{ GeV}$

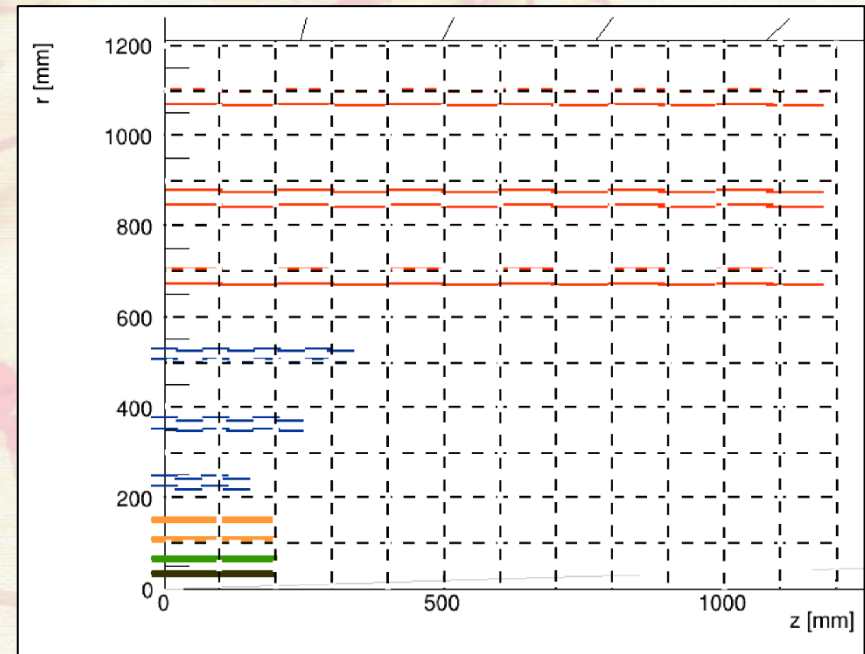


# 3D information encoding

- Restriction to the central area (*Barrel*)
- r sections:  $N_r = 50$
- z sections:  $N_z = 50$
- Afferents:  $N_a = N_r \cdot N_z = 2500$
- Encoding all the information



3D vision of an event in the CMS tracker



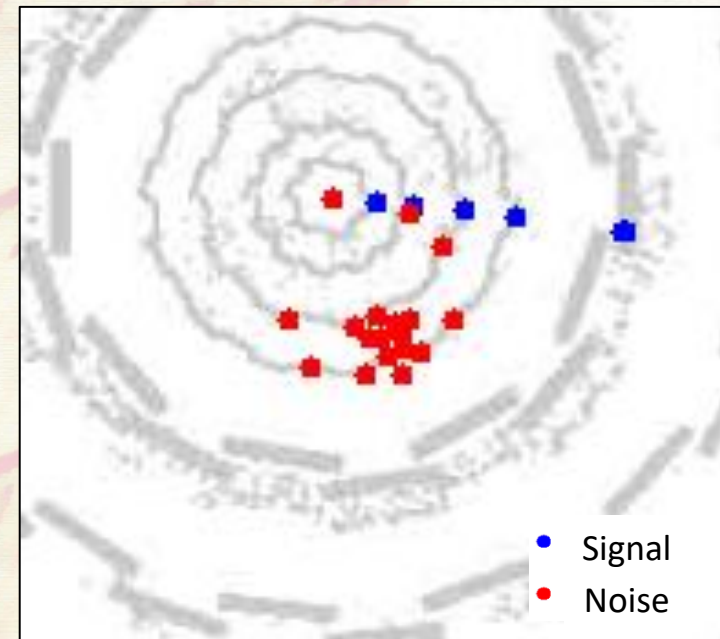
Sketch: layout of the tracker Barrel for Phase2



# Datasets

## Monte Carlo simulations

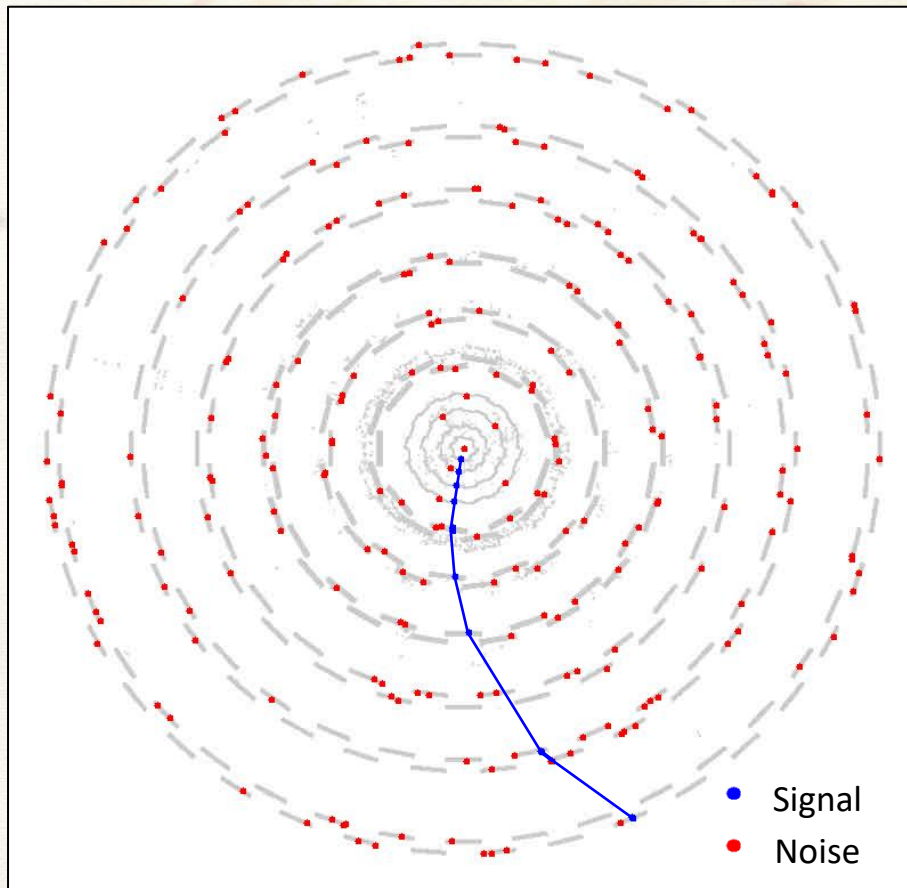
- **1 particle** per event:
  - Muons:  $q = -1, p_T \in \{1, 3, 10\} \text{ GeV}$
  - Antimuons:  $q = +1, p_T \in \{1, 3, 10\} \text{ GeV}$
- Contains some **interactions with the tracker material**



Detail of an event in which the impact with the tracker material caused the emission of an electron

# Datasets

## Background



Transverse plane projection of an event containing an antimuon,  $p_T = 1 \text{ GeV}$  with  $\bar{N}_{hit} = 200$

- We superimpose a Poissonian background
- **Background hits** randomly extracted from the signal hits
- $\bar{N}_{hit} = 50, 100, 200$
- $N_{hit}^{signal} \sim 10$

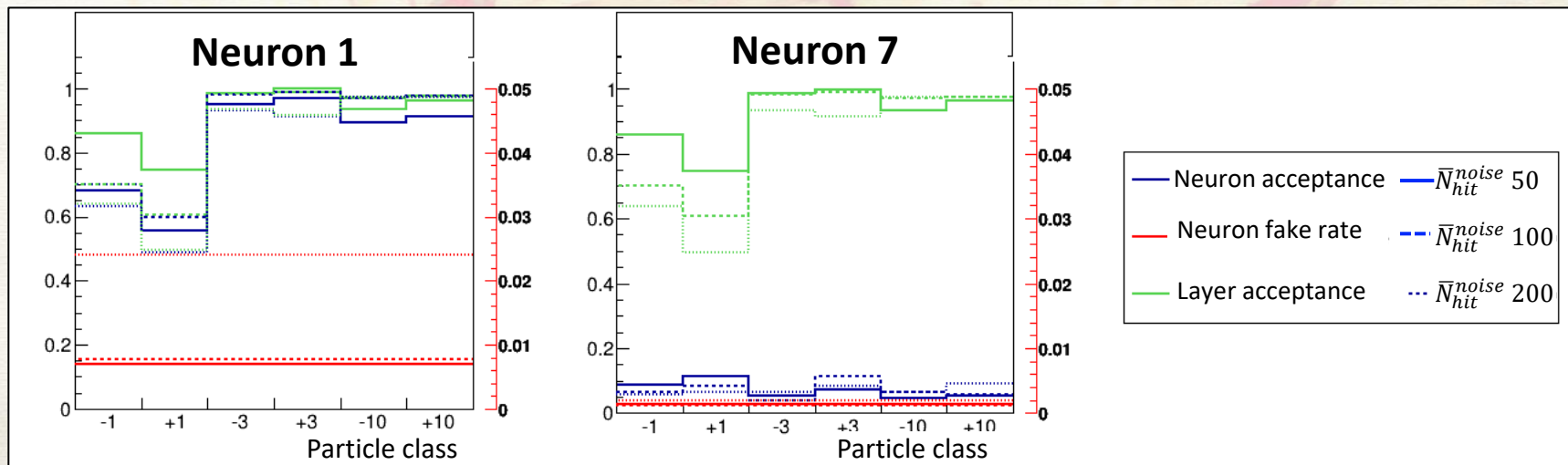


# 3D model results

- Acceptance  $A_{q,p_T} = \frac{\#Events(q,p_T) \text{ in which } L1 \text{ was activated}}{\#Total \text{ events}(q,p_T)}$
- Fake rate  $E = \frac{\#Background \text{ events in which } L1 \text{ was activated}}{\#Total \text{ background events}}$

$\bar{N}_{hit}$	$A_{-1}$	$A_{+1}$	$A_{-3}$	$A_{+3}$	$A_{-10}$	$A_{+10}$	E
50	86.0%	75.7%	<b>98.6%</b>	<b>99.9%</b>	93.5%	96.4%	<b>2.2%</b>
100	70.1%	60.7%	98.4%	98.9%	97.0%	97.6%	<b>2.1%</b>
200	<b>63.9%</b>	<b>49.4%</b>	<b>93.5%</b>	<b>91.6%</b>	97.5%	97.4%	<b>3.9%</b>

- ✓ Better results in high  $p_T$  patterns
- ✓ Low fake rate < 5%
- ✗ Poor specialization of the neurons



# Achievements and challenges

First implementation and proof of work of a **Spiking Neural Network** for the **identification** of particle trajectories produced in high-energy collisions

## Successes

- ✓ The network **learns autonomously** to recognize tracks from noise
- ✓ Acceptance > 90% for particles with  $p_T \geq 3 \text{ GeV}$
- ✓ Low false positive rate (<5%)

## Limitations and future challenges

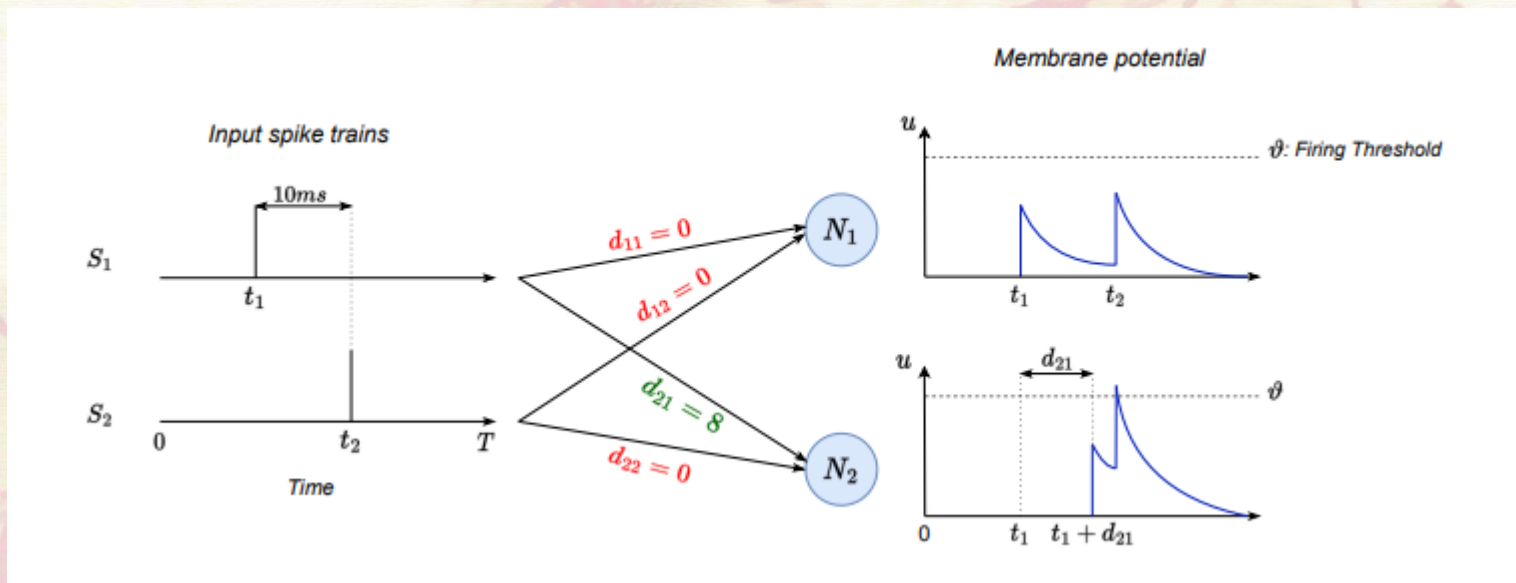
- ✗ Poor neuron specialization
- ✗ Multi-track event management
- ✗ Difficult optimization of hyperparameters
- ✗ Better management of 3D information



# Active fields

## Unsupervised delay learning

- Synaptic delays are another degree of freedom that we could exploit
- Delay adaptation to different signals  $\rightarrow$  improve the specialization

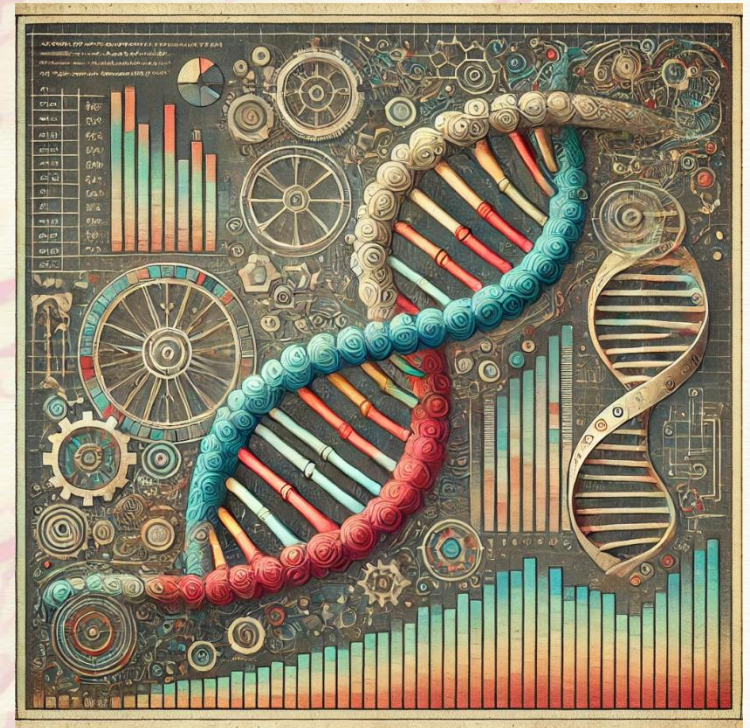


I. Hammouamri et al., "Learning Delays in Spiking Neural Networks using Dilated Convolutions with Learnable Spacings", arXiv preprint, 2023

# Active fields

## Genetic Algorithm

- Genetic algorithms are inspired by natural selection
- Application for hyperparameters tuning:
  - Can handle **large spaces** effectively.
  - Works well with **non-differentiable**, **discontinuous**, and **noisy** search spaces.
  - Can **avoid** getting stuck in **local minima**, unlike some traditional methods.





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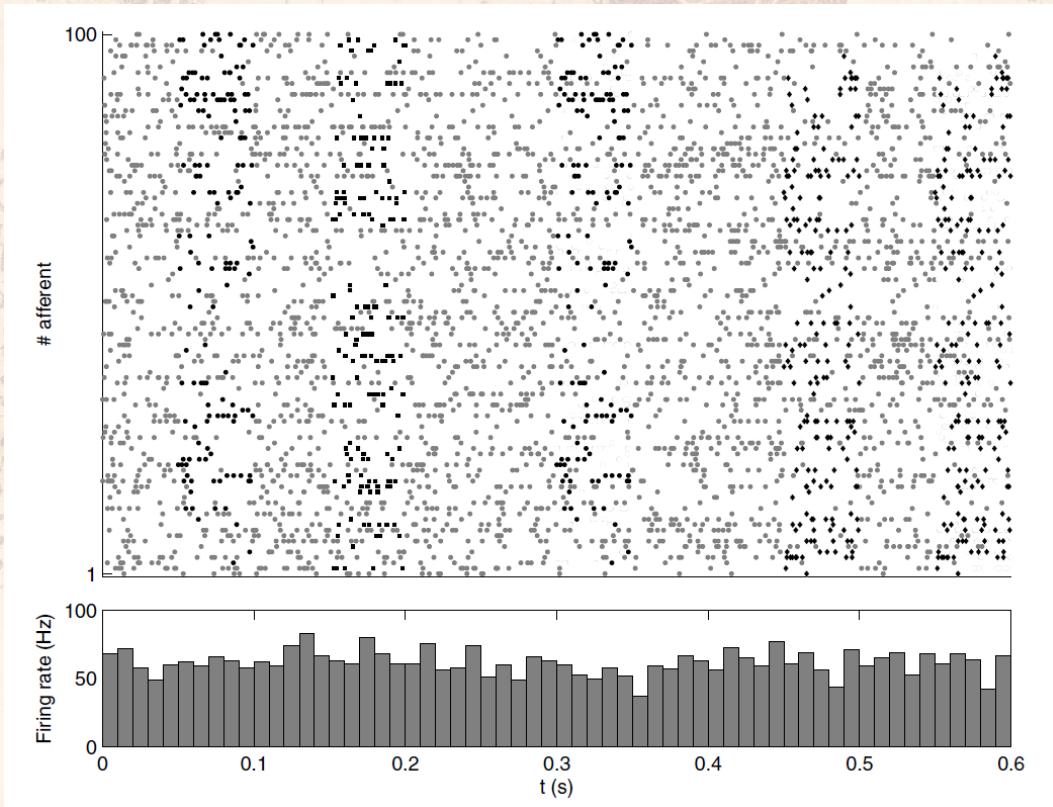
**Thanks**  
**for your attention**

**Emanuele Coradin**

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Enrico Lupi, Jinu Raji, Fredrik Sandin, Mia Tosi

# Spiking neural network

## Reference model: Masquelier et al.



*T. Masquelier et al., "Competitive STDP-based spike pattern learning", Neural Computation, may 2009*

## Technical features


- Spike-timing-dependent plasticity
- Leaky integrate-and-fire neurons
- Single layer network

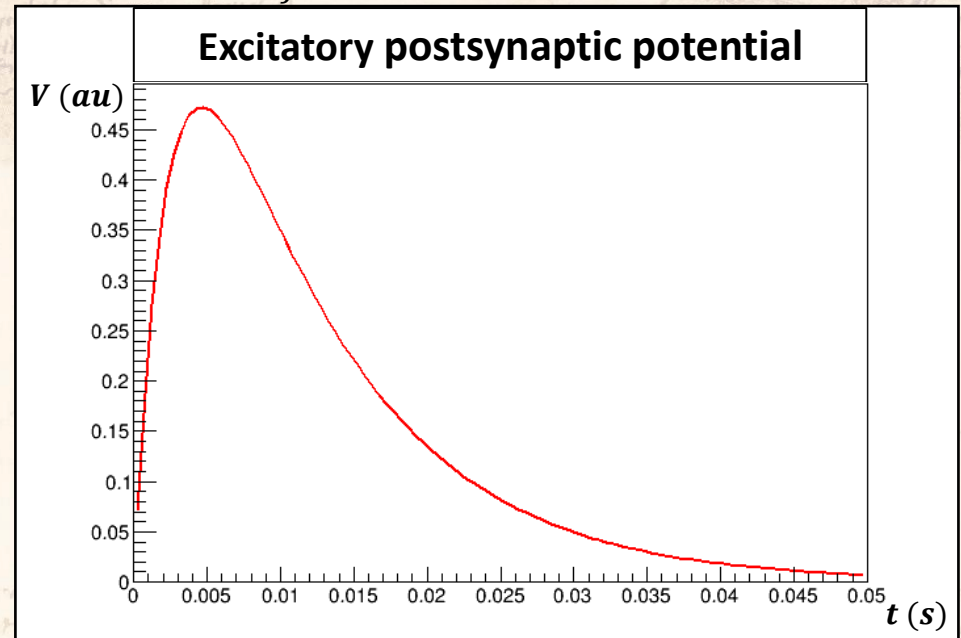
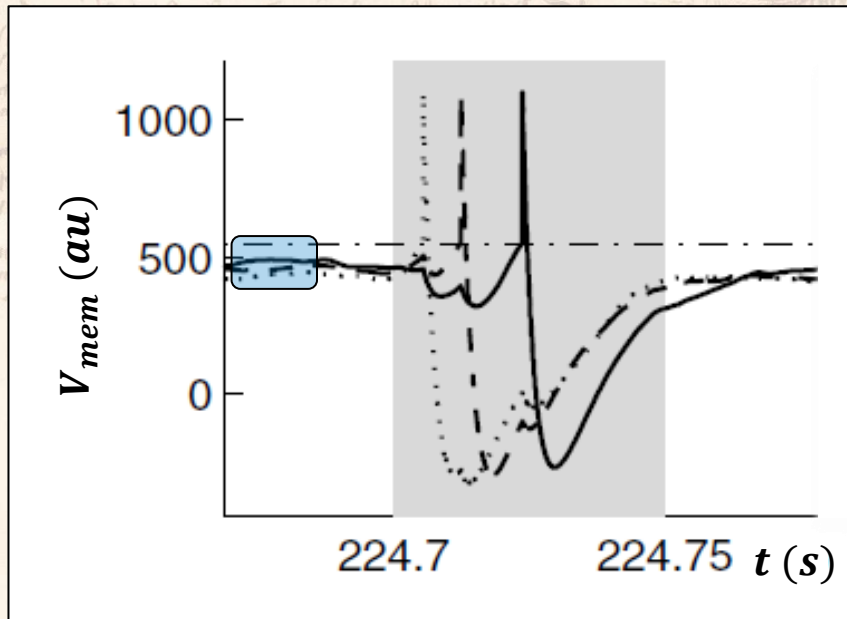
## Achievements

- A simple SNN learns to **recognize complex patterns** in a **noisy environment**
- Poisson noise with embedded patterns
- **Patterns repeat randomly** in a **continuous regime**




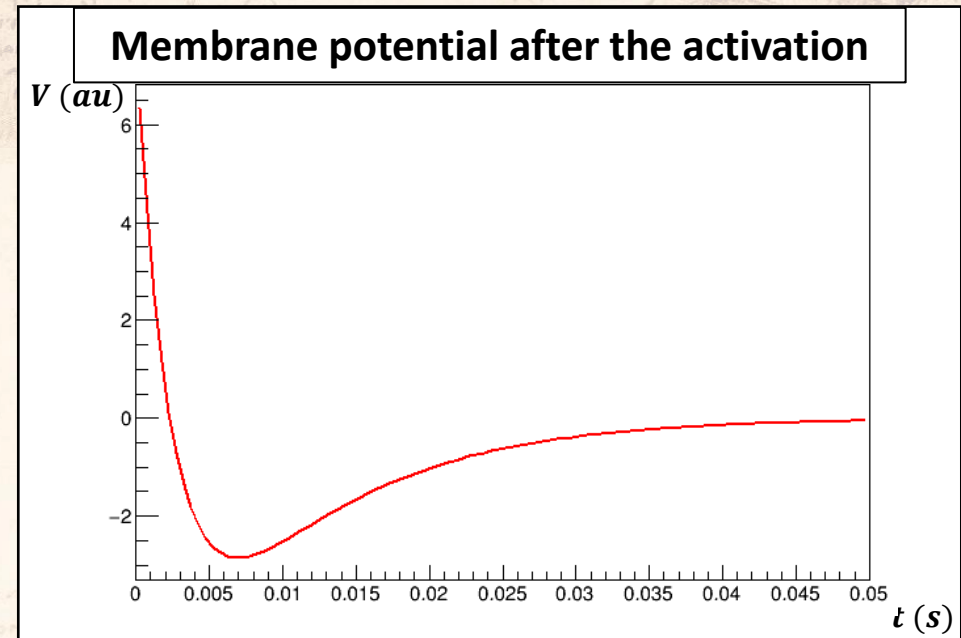
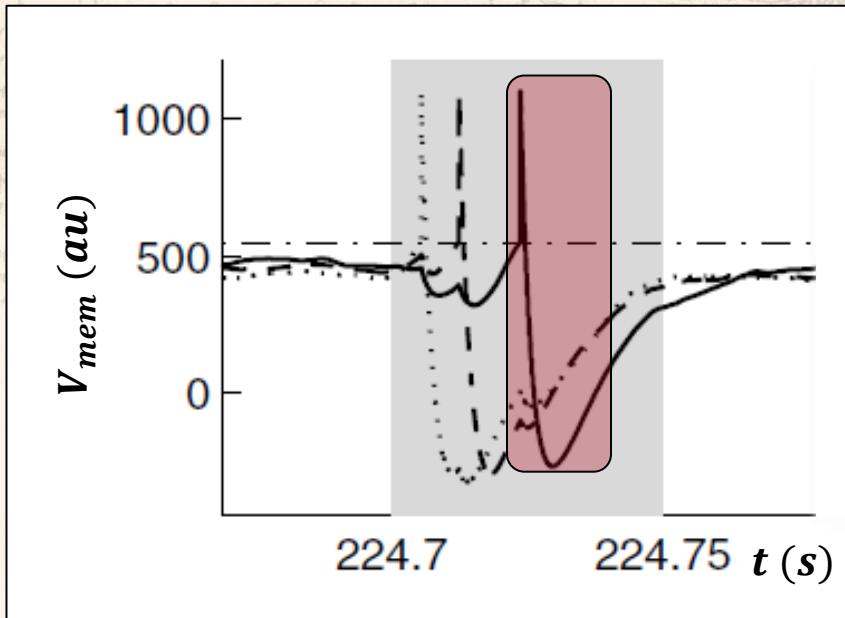
# Leaky integrate-and-fire neuron (LIF)

- Input pulse at the synapse → **Excitatory postsynaptic potential (EPSP)** 
- $\varepsilon(t - t_j) = K \cdot \left[ \exp\left(-\frac{t-t_j}{\tau_m}\right) - \exp\left(-\frac{t-t_j}{\tau_s}\right) \right] \cdot \theta(t - t_j)$
- $\tau_m$ : Membrane characteristic time
- $\tau_s$ : Synapse characteristic time
- **K** multiplicative constant
- $t_j$  pulse arrival time



# Leaky integrate-and-fire neuron (LIF)

- Potential exceeds threshold  $T \rightarrow$  **Neuron activation**  $\rightarrow$  output pulse 
- $\eta(t - t_i) = T \cdot \left\{ K_1 \cdot \exp\left(-\frac{t-t_i}{\tau_m}\right) - K_2 \cdot \left[ \exp\left(-\frac{t-t_i}{\tau_m}\right) - \exp\left(-\frac{t-t_i}{\tau_s}\right) \right] \right\} \cdot \theta(t - t_i)$
- $\tau_m$ : Membrane characteristic time
- $\tau_s$ : Synapse characteristic time
- $K_1, K_2$  multiplicative shape constants
- $t_i$  activation time



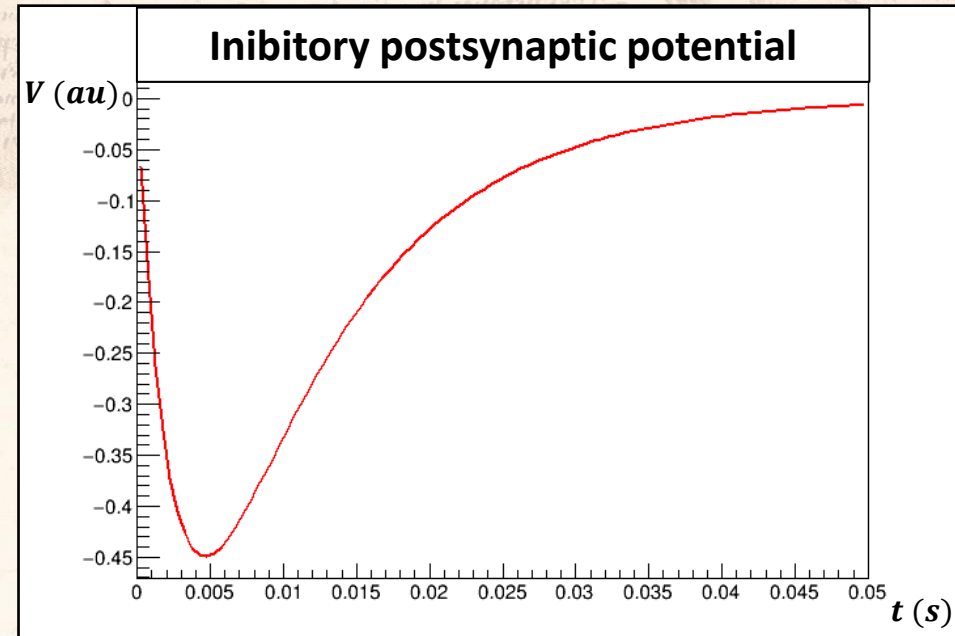
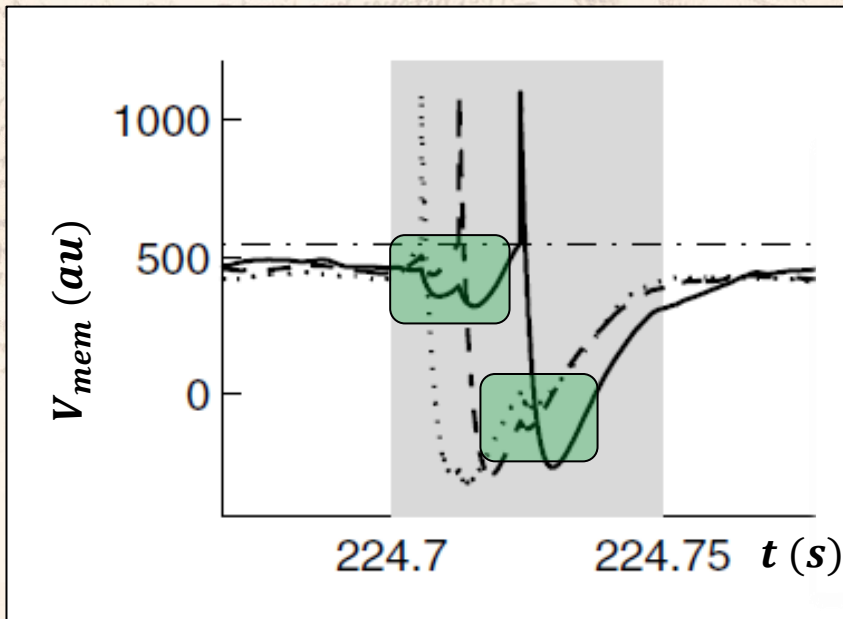


# Leaky integrate-and-fire neuron (LIF)

- Neuron activates  $\rightarrow$  It inhibits neurons in its layer  $\rightarrow$  **Inhibitory postsynaptic potential (IPSP)**
- $\mu(t - t_k) = -\alpha \cdot T \cdot \varepsilon(t - t_k)$
- $\alpha$  multiplicative intensity constant

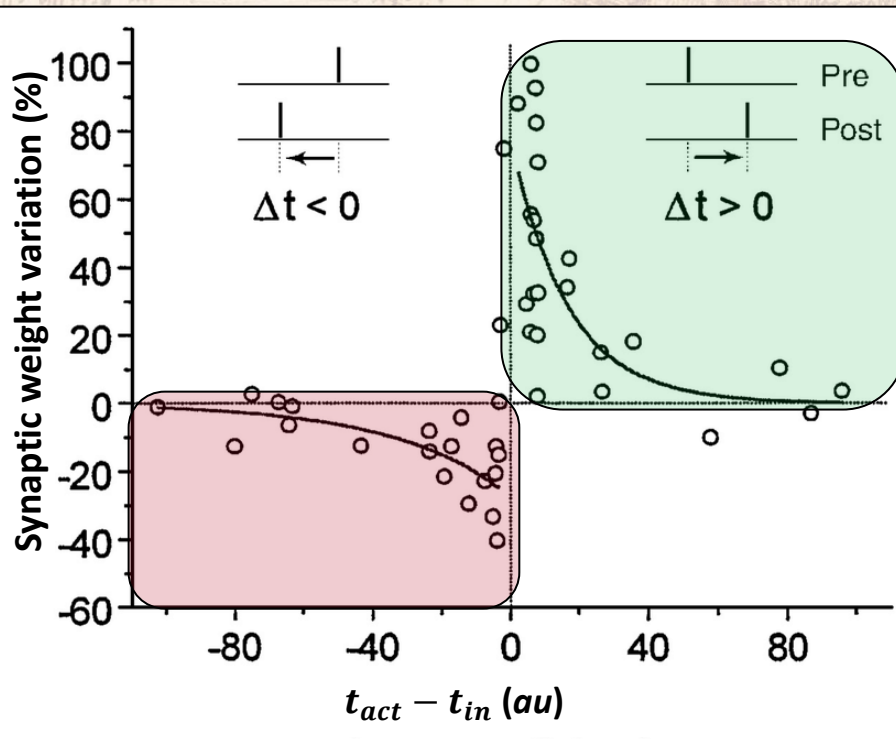


**Competition among neurons**



# Learning algorithm: STDP

- **Spike timing-dependent plasticity (STDP):**
- Synaptic weights are adjusted only according to the arrival **time of input spikes ( $t_{in}$ )** and the **activation time of a neuron  $t_{act}$**
- If  $t_{in} < t_{act} \rightarrow$  **casual effect**  $\rightarrow$  **potentiation** of the synaptic **weight**
- If  $t_{in} > t_{act} \rightarrow$  **anti-causal effect**  $\rightarrow$  **depression** of the synaptic **weight**



- Completely **unsupervised learning**

- Parameters:

- $\tau^+, \tau^-$  Characteristic times

- $a^+, a^-$  Learning constants

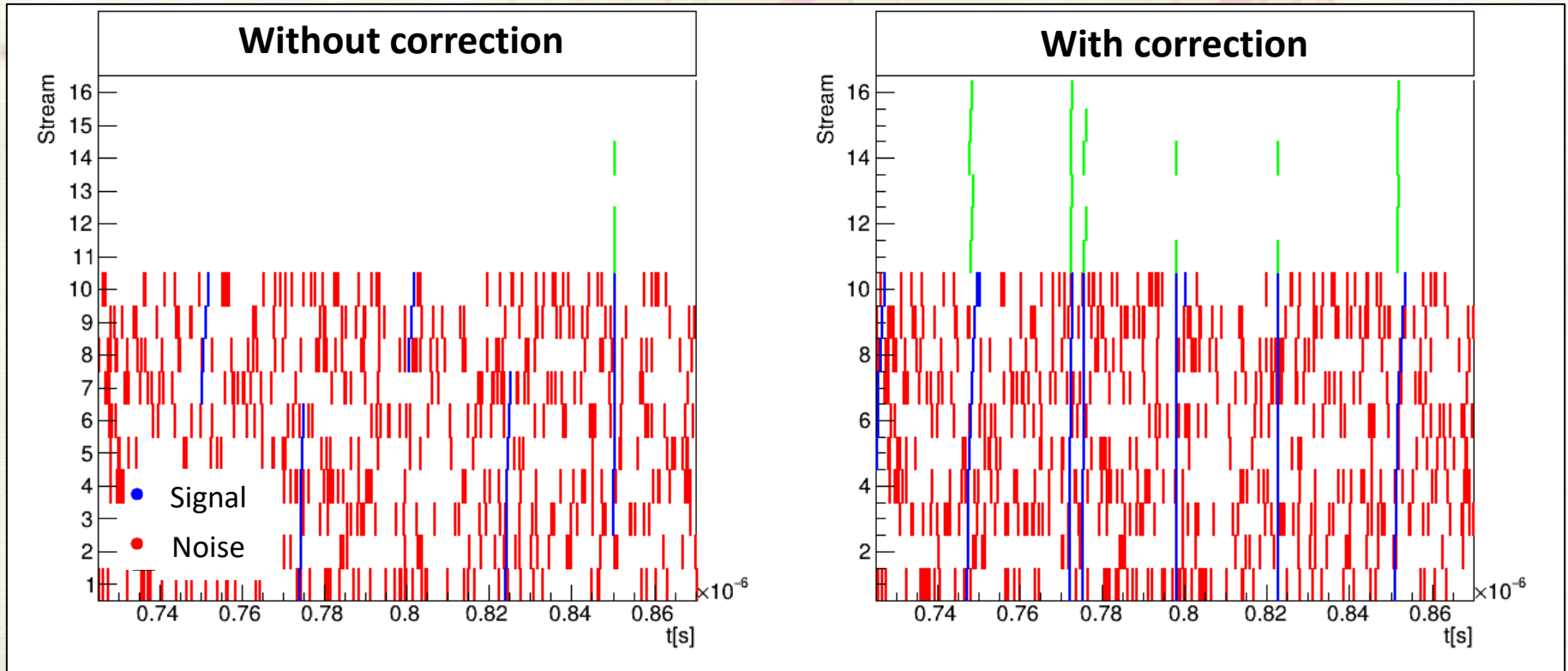
$$\Delta\omega = \begin{cases} a^+ \cdot \exp\left(\frac{t_{act} - t_{in}}{\tau^+}\right) & \text{if } t_{act} \leq t_{in} \\ -a^- \cdot \exp\left(-\frac{t_{act} - t_{in}}{\tau^-}\right) & \text{if } t_{act} > t_{in} \end{cases}$$






# Border effects

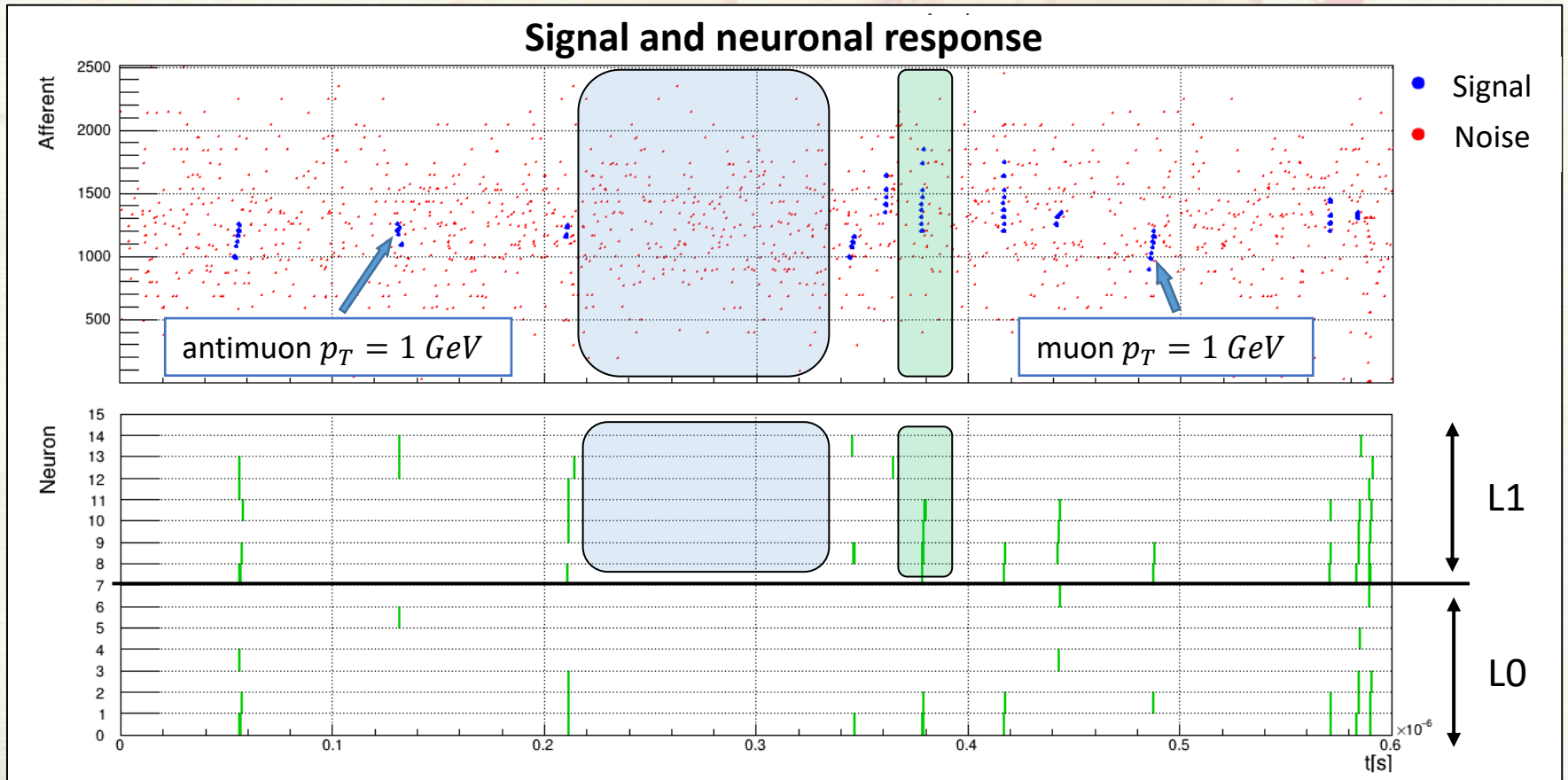
- Discontinuous signal encoding
- Increase in learning difficulties

- Continuous signal encoding
- Better performance
- Presence of duplicates



# 3D model results

- Activation of neurons at **signal pulses** 
  - Inactive neurons at **noise pulses** 
-  The network has **learnt autonomously** to recognize tracks from noise





# 3D model results

- Possible problems:

- Activation during **noise events** → False positive 
- Failure to recognize **signal track** 

