

# AI for MMCs

## Utilizing Neuronal Networks to Enhance the Application of Metallic-Magnetic Calorimeters for X-ray Spectroscopy

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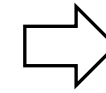
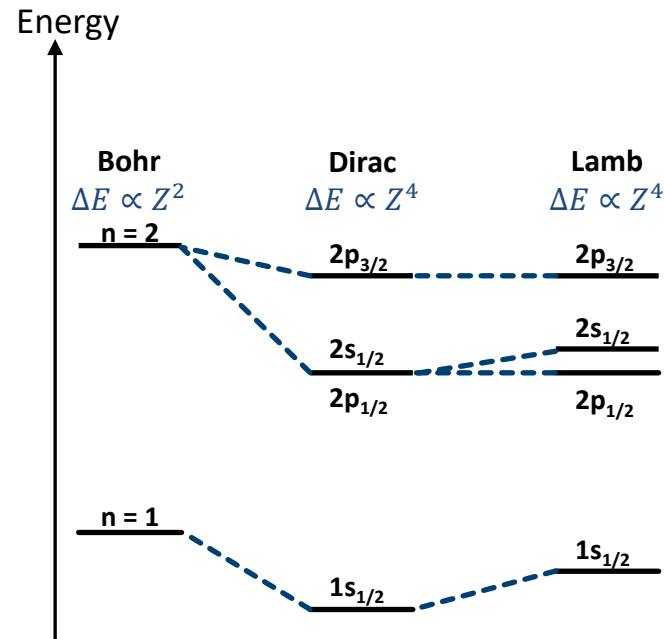
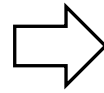
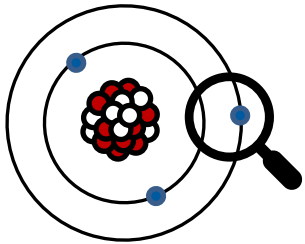
# I Introduction

AI for **MMCs**

# Motivation: Atomic Physics

Nuclear charge  $Z$   
Fine-structure constant  $\alpha$

Atomic Physics



Interaction of electron with...

- ... nucleus
- ... other electrons
- ... **vacuum**



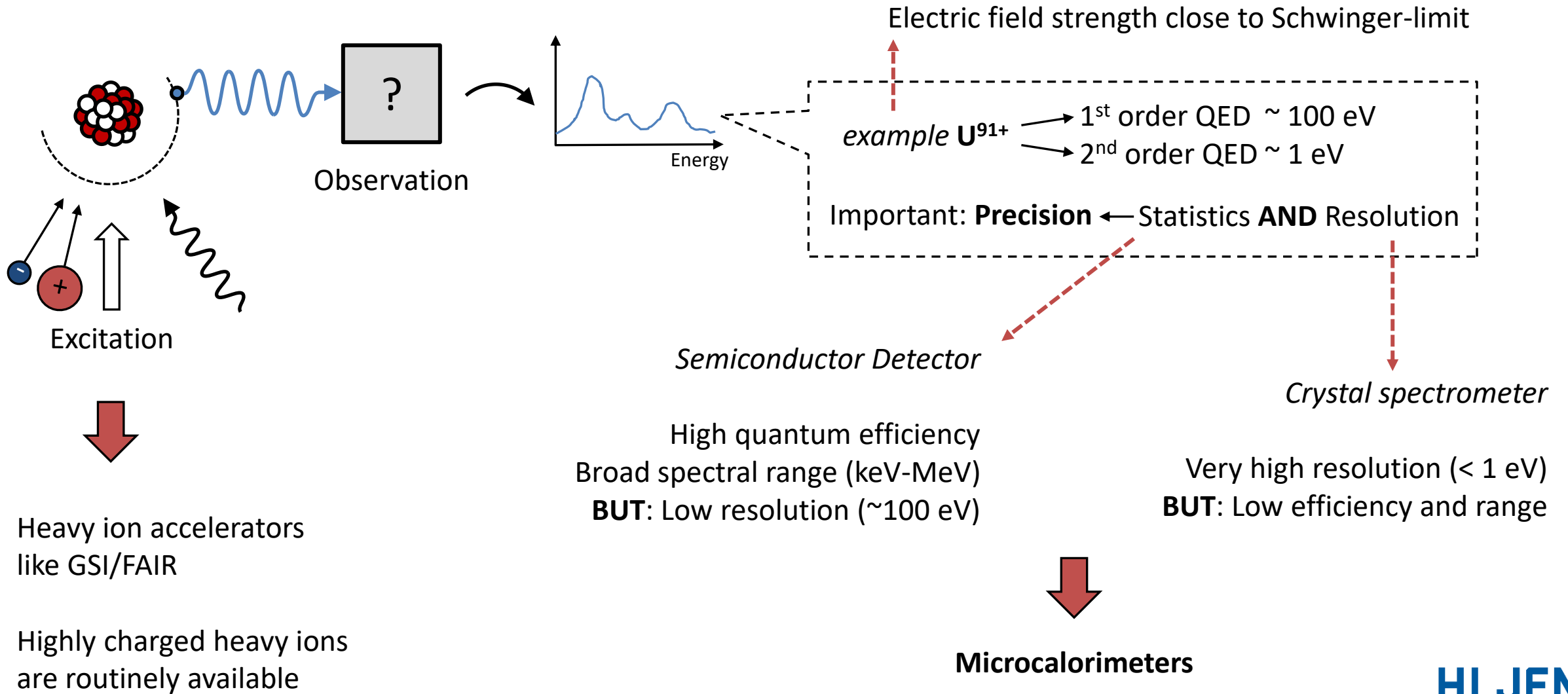
Quantum Electro Dynamics (QED)

Light elements  $Z\alpha \ll 1$ : Only perturbative correction and most precisely measured theory

**BUT:** Heavy elements  $Z\alpha \approx 1$ : Theory is very complex (all orders) and experiments are sparse

→ Validation required in form of high precision experiments.

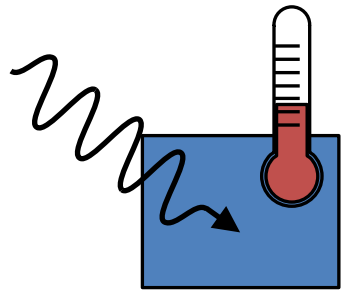
# Methods: X-Ray Spectroscopy



# Technology: Microcalorimeters

Micro-Calorimeter Detectors

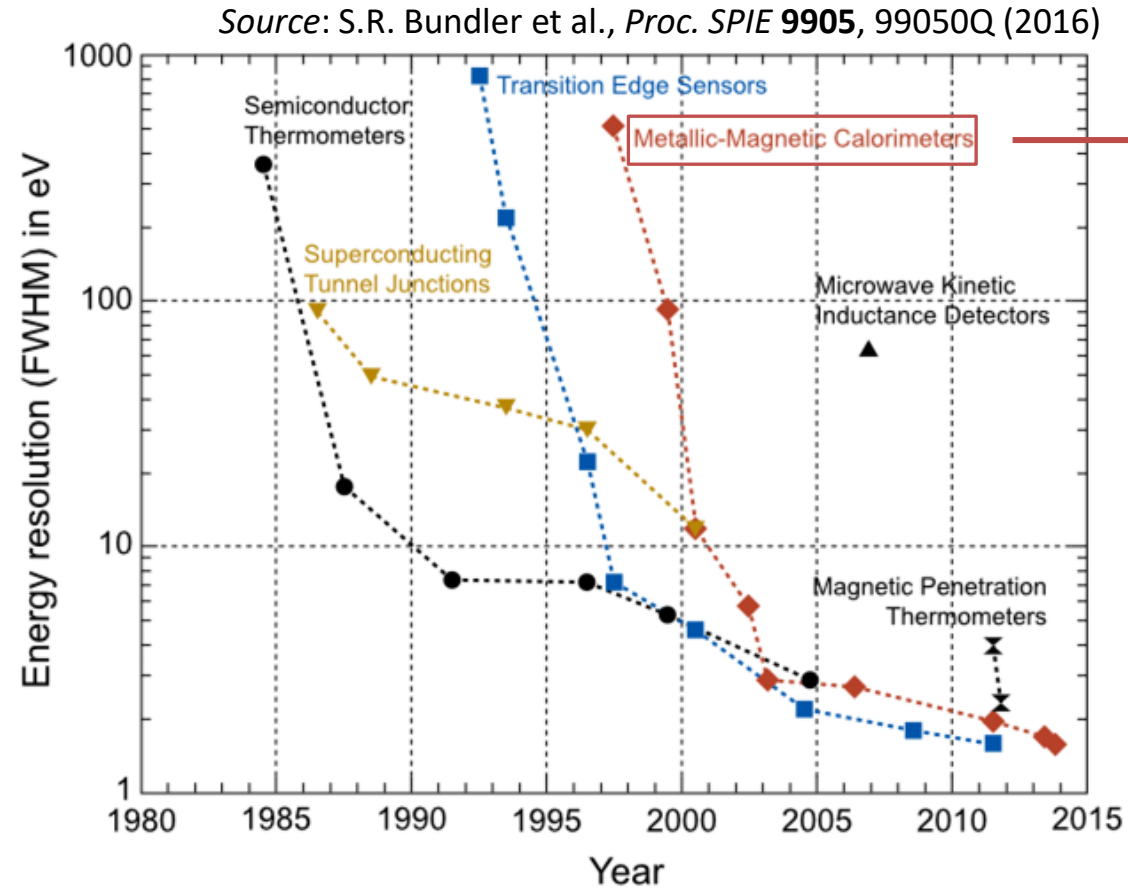
$$\Delta E \cdot C^{-1} = \Delta T$$



Different Technologies

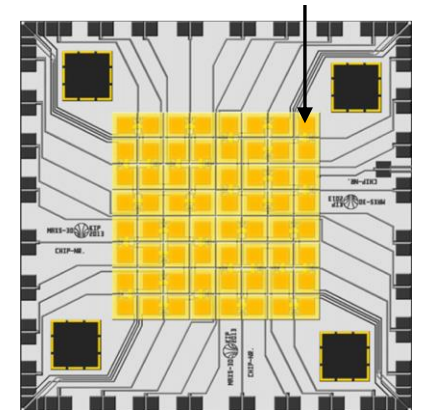


- Phonon excitation ( $\sim 1$  meV)
- Inherently high energy resolution
- Dedicated photon absorber
- Broad spectral range
- High quantum efficiency



MMC

500  $\mu\text{m}$  x 500  $\mu\text{m}$



maXs-30

Paramagnetic Sensor



SQUID Magnetometer

# Challenges: How to extract a spectrum?

Typical thermal capacity  $C \approx 1 \frac{\text{pJ}}{\text{K}} \rightarrow \frac{\Delta T}{\Delta E} \approx 100 \frac{\mu\text{K}}{\text{keV}}$

Fast **signal rise** time up to  $\tau_0 \approx 100 \text{ ns}$   
High **energy resolution**  $\Delta E_{\text{FWHM}} = 1.25 \text{ eV @ } 6 \text{ keV}$  [1]  
Excellent **linearity**  $\Delta E / E < 5.9\% @ 60 \text{ keV}$

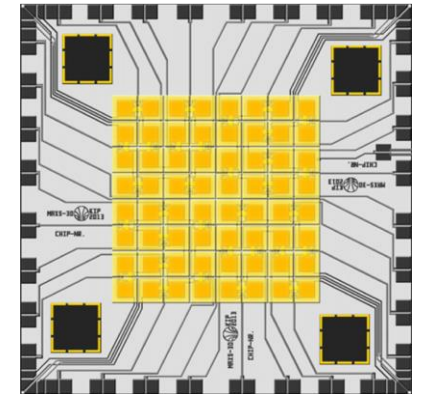
Operation requires very intricate hardware (cooling  $< 20 \text{ mK}$ , read-out, amplification, ...)

High sensitivity leads to susceptibility for external noise (vibrations, external fields, ...)

⇒ Digital pulse shape analysis required to mitigate artifacts

↪ A multitude of hardware settings and numerical parameters require **optimization**

So far: Very labor intensive, partially **manual** process



Signal  $\propto \Delta T = \frac{\Delta E}{C}$   $C \propto V = d \cdot A$   $\rightarrow$  efficiency  
 $\downarrow$  small  $\rightarrow$  solid angle  $\rightarrow$  pixelation

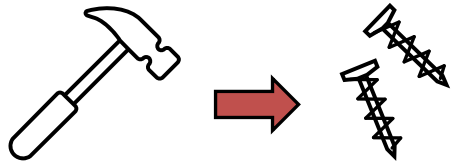
**Future:** Thousands of pixels  $\Rightarrow$  manual optimization per pixel not possible



# II Thought Process

**AI** for MMCs

# Enhance MMCs using AI?



Where to start?

## First idea: Hardware

Amplification/Read-out SQUID tuning

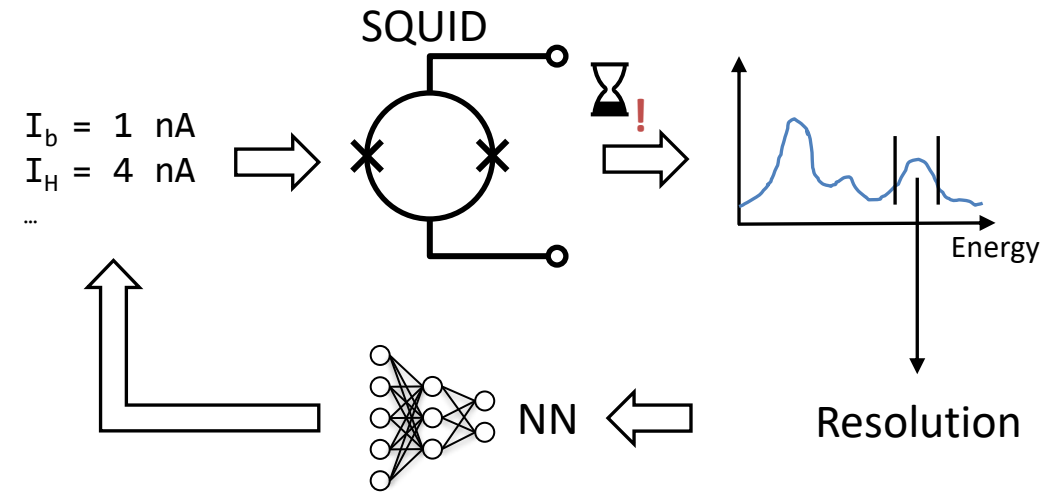
Supervised learning cycle: SQUID parameters vs. performance

- + Could benefit more groups than just us
- = Long learning cycle

## Software

Feature extraction from raw detector signals

- Signal characterization
- Pulse shape analysis
- Artifact correction

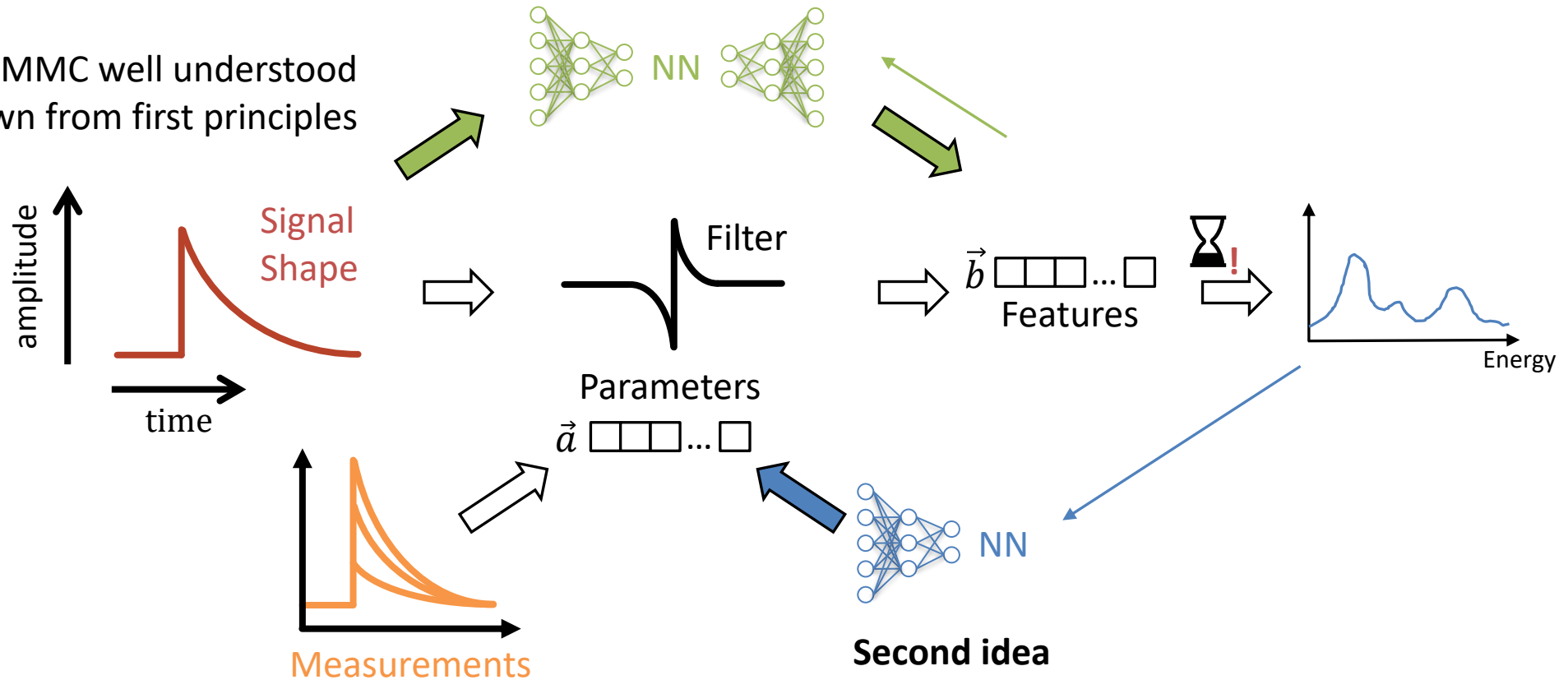




# Traditional Pulse Shape Analysis

Winning idea: Use NN for pulse shape analysis itself

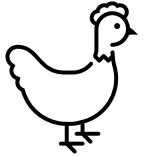
Thermodynamics of MMC well understood  
⇒ Signal is known from first principles



**Second idea**

Use NN for parameter optimization  
Same challenge as for SQUID tuning

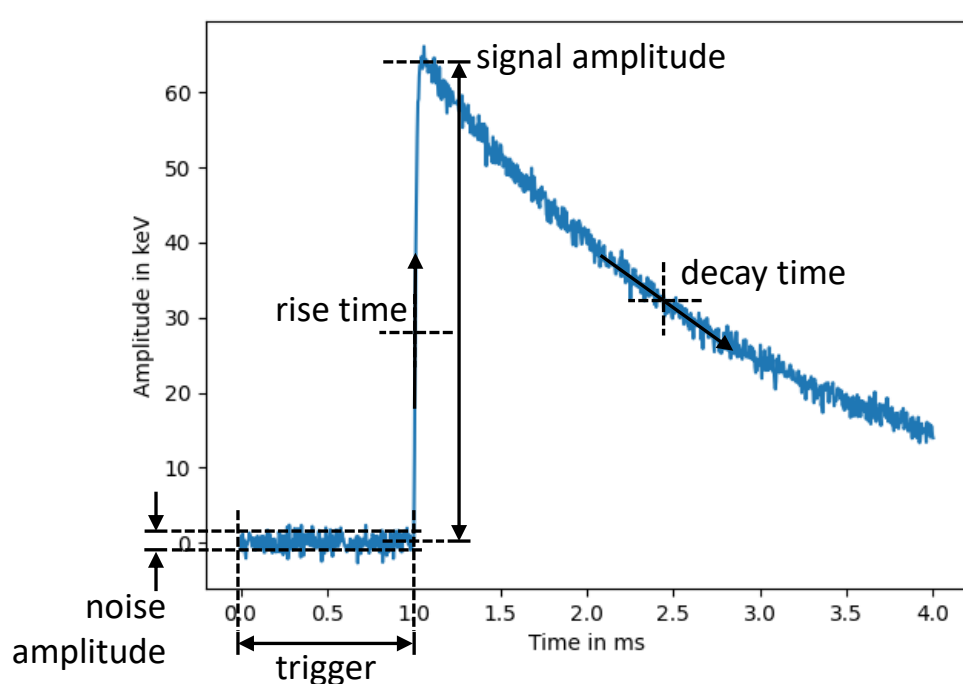
# The Universal Detector



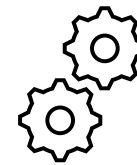
How to label data that you want to find labels for?

Reverse the analysis process!

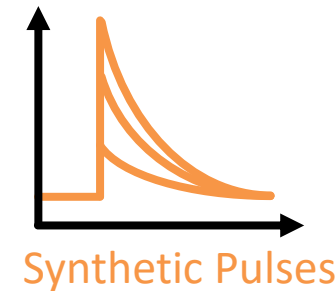
Utilize, that we know analytically, how our signals should look like.



$\vec{b}$    
Features



Generator



⇒ Postpone the problem of using real-world data for training.  
Evaluate the feasibility of a NN-based approach fast.

Lets us generate ...

**well-defined** pulses ...  
for **arbitrary** MMCs ...  
and as **many** as we need.



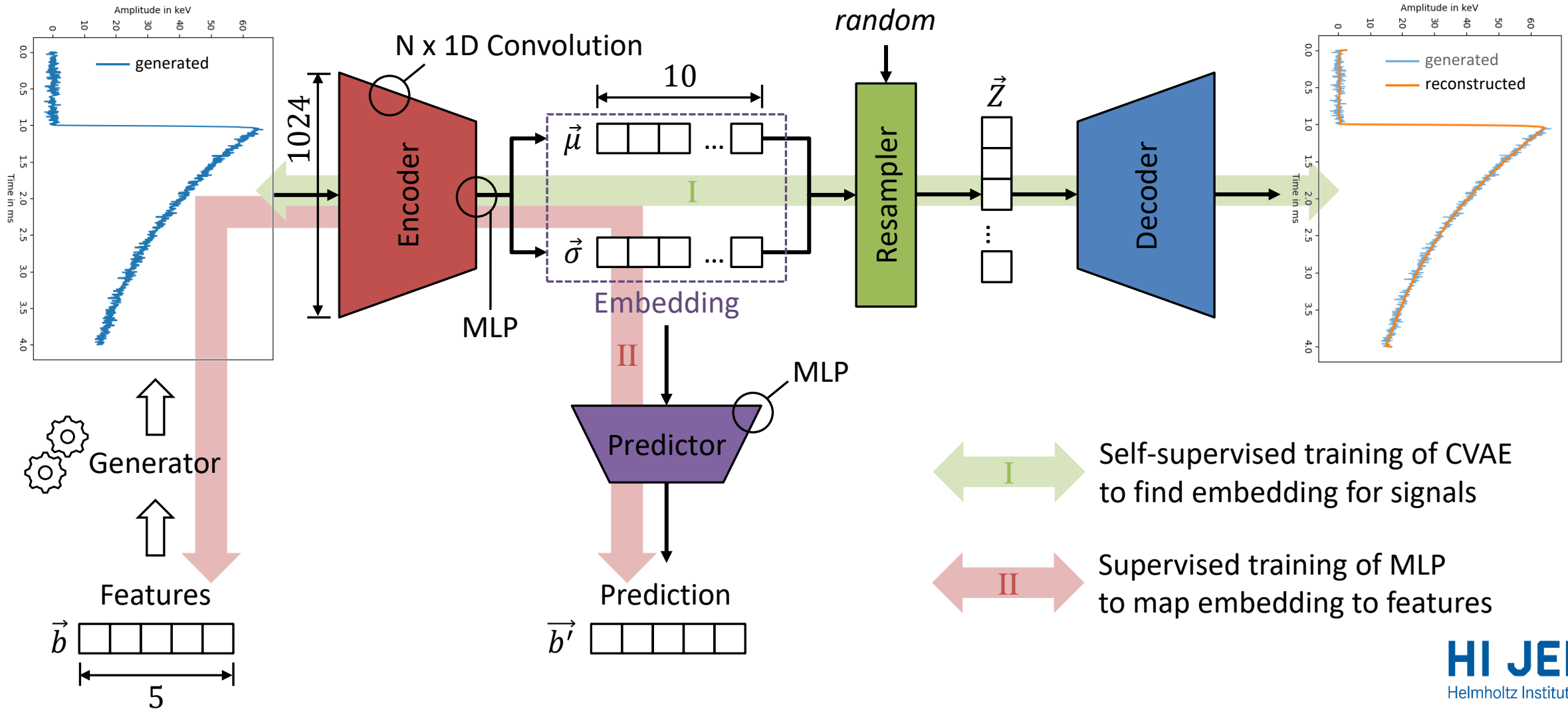
# III Implementation

AI for MMCs

# Improvement: Autoencoder

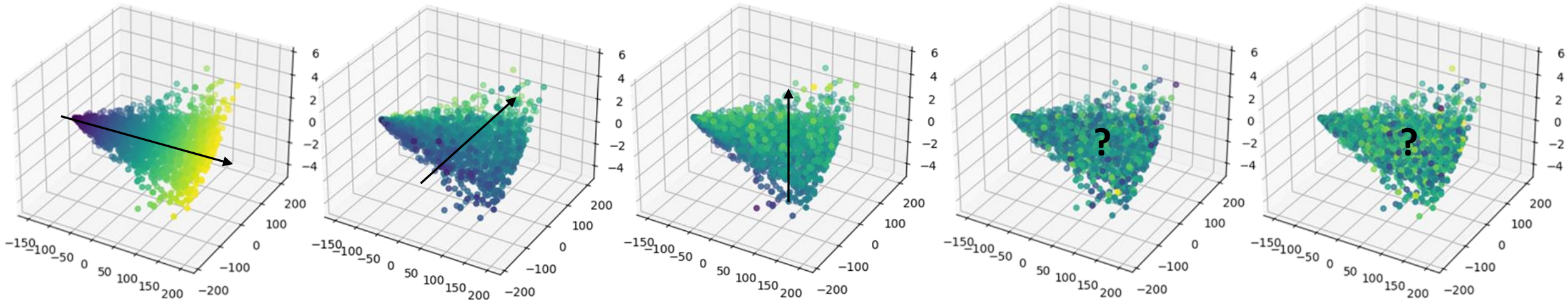
## Convolutional Variational Autoencoder (CVAE)

MLP = Multi-Layer Perceptron



# Latent Space

Principle Component Analysis (PCA) of the embedded signals with  $n = 3$ :



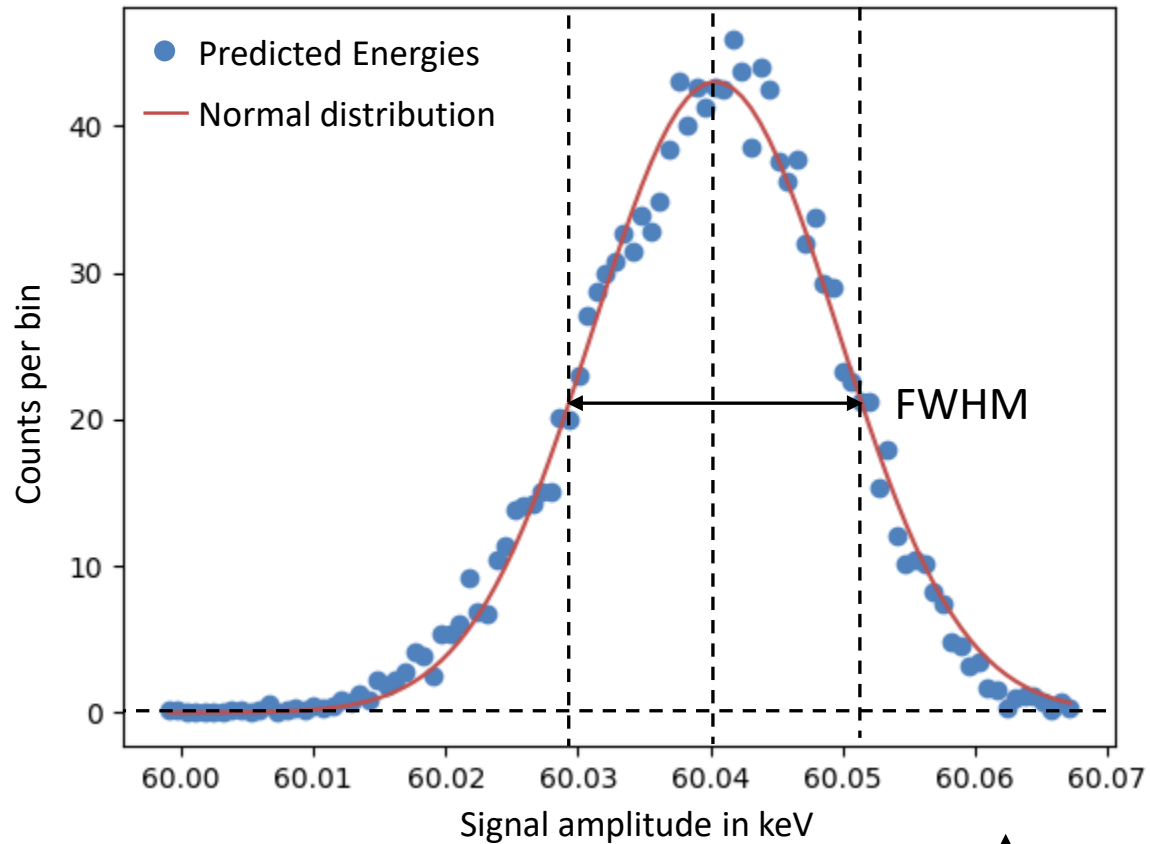
Color: Energy  
↓  
Largest variance

Trigger  
Decay Time  
} Changes shape the most  
(also kills FIR performance)

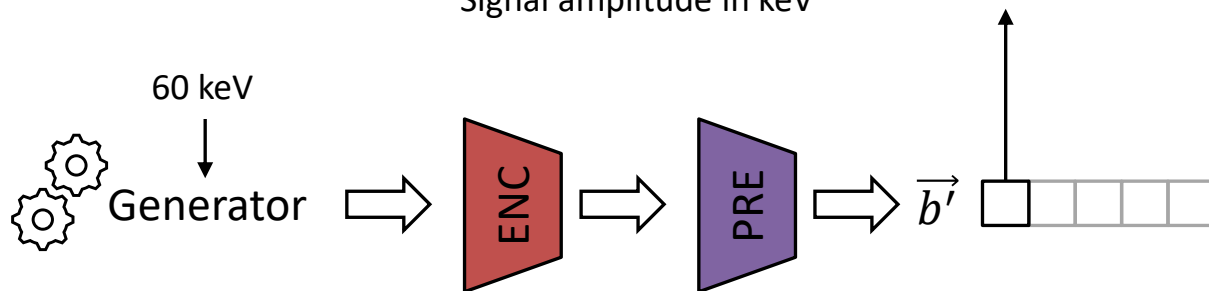
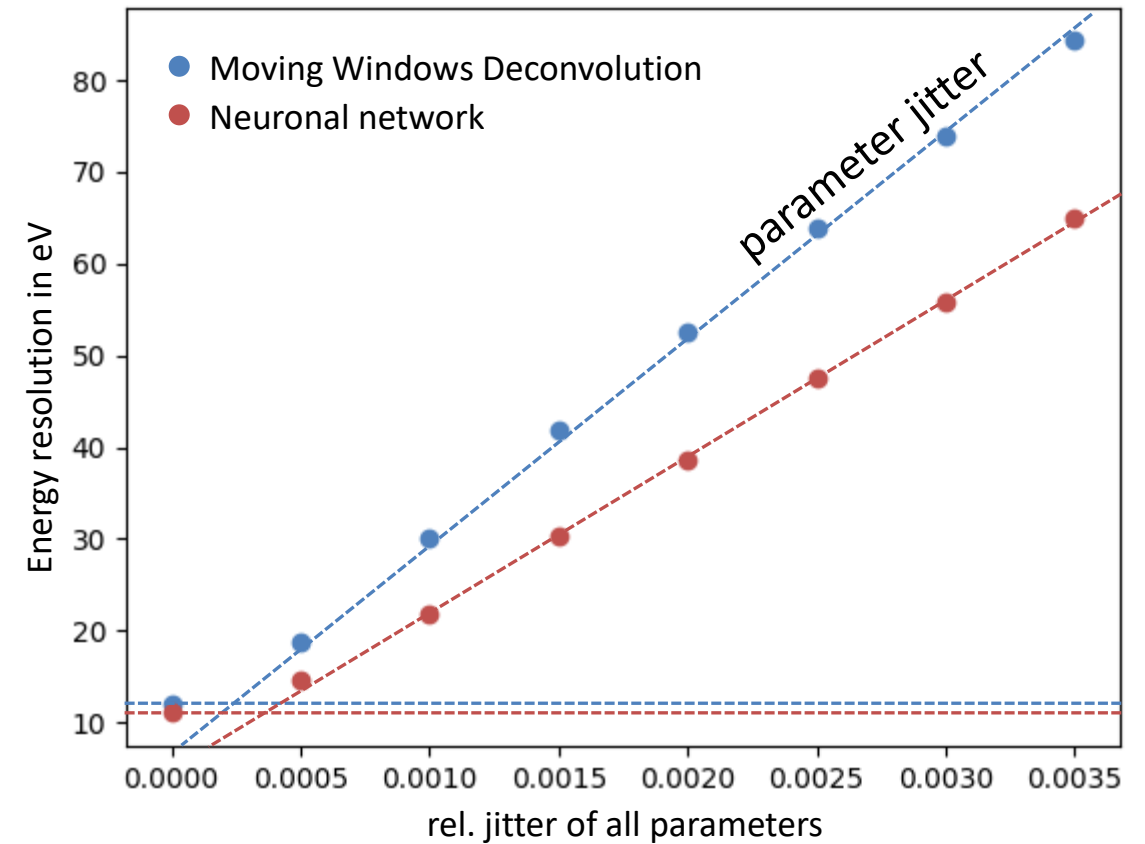
Noise Ampl.  
↓  
Encoder acts as denoising step

Rise Time

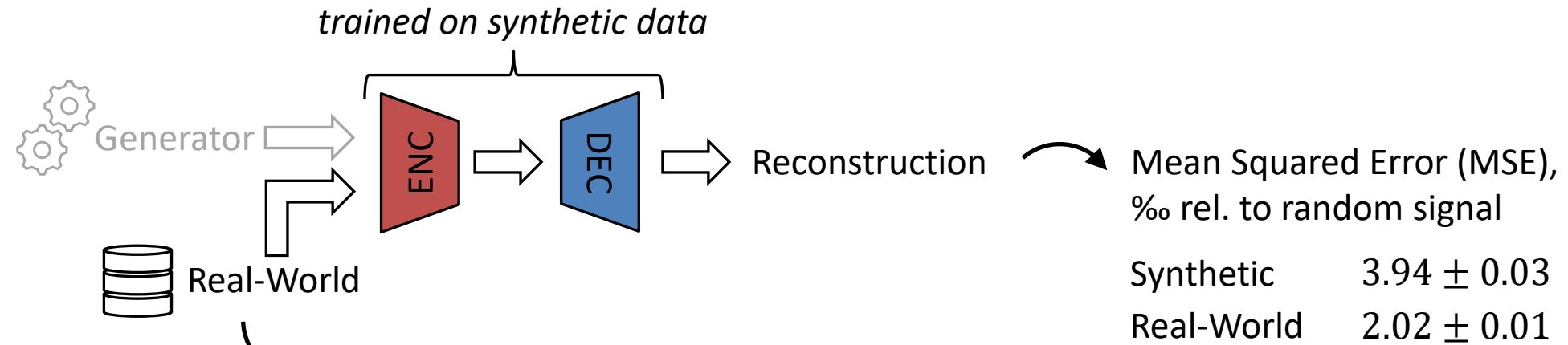
# Results I: Synthetic Data



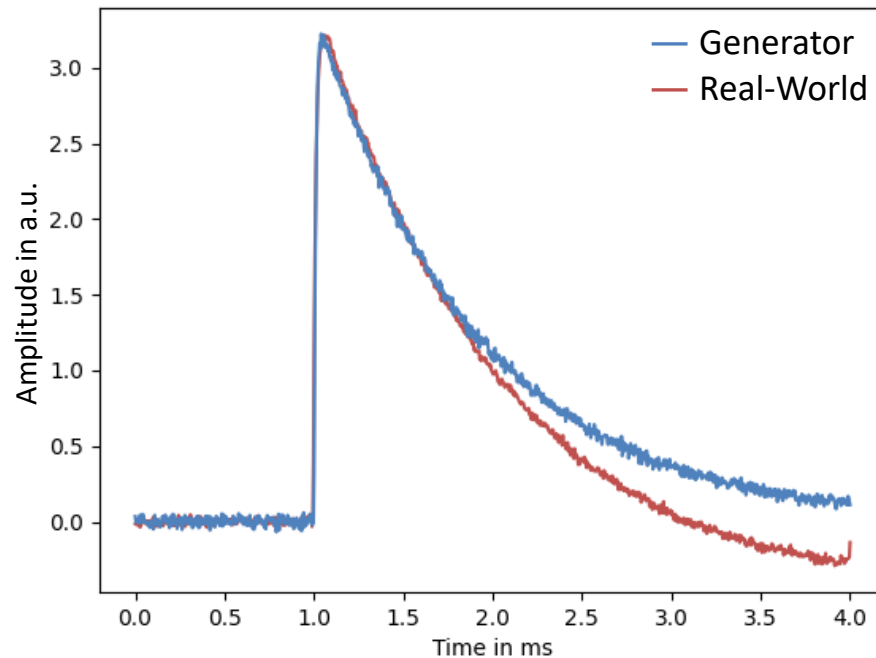
Neuronal network beats traditional filter!



# Real World Data



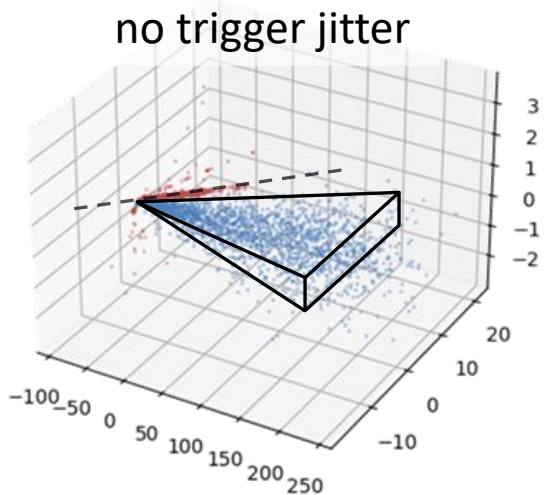
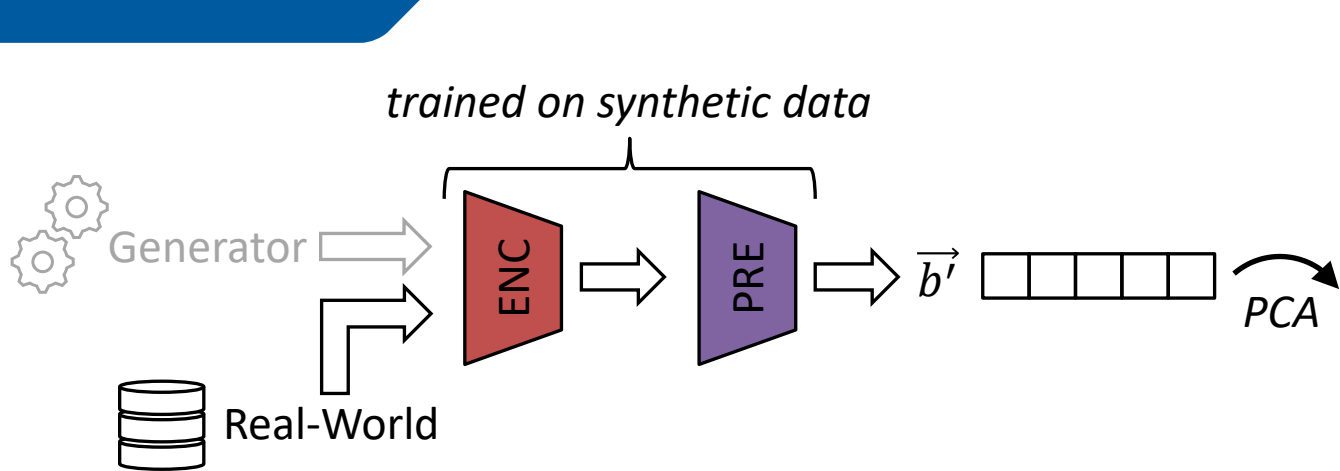
Match parameters  
as close as possible



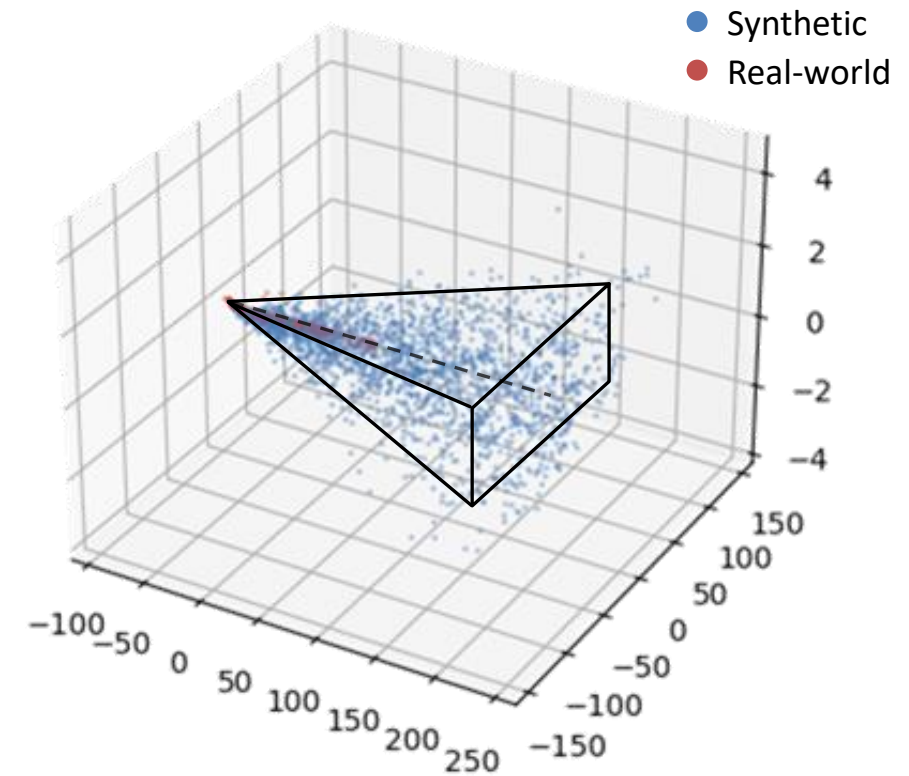
**How?**



# Real World Data Embedding



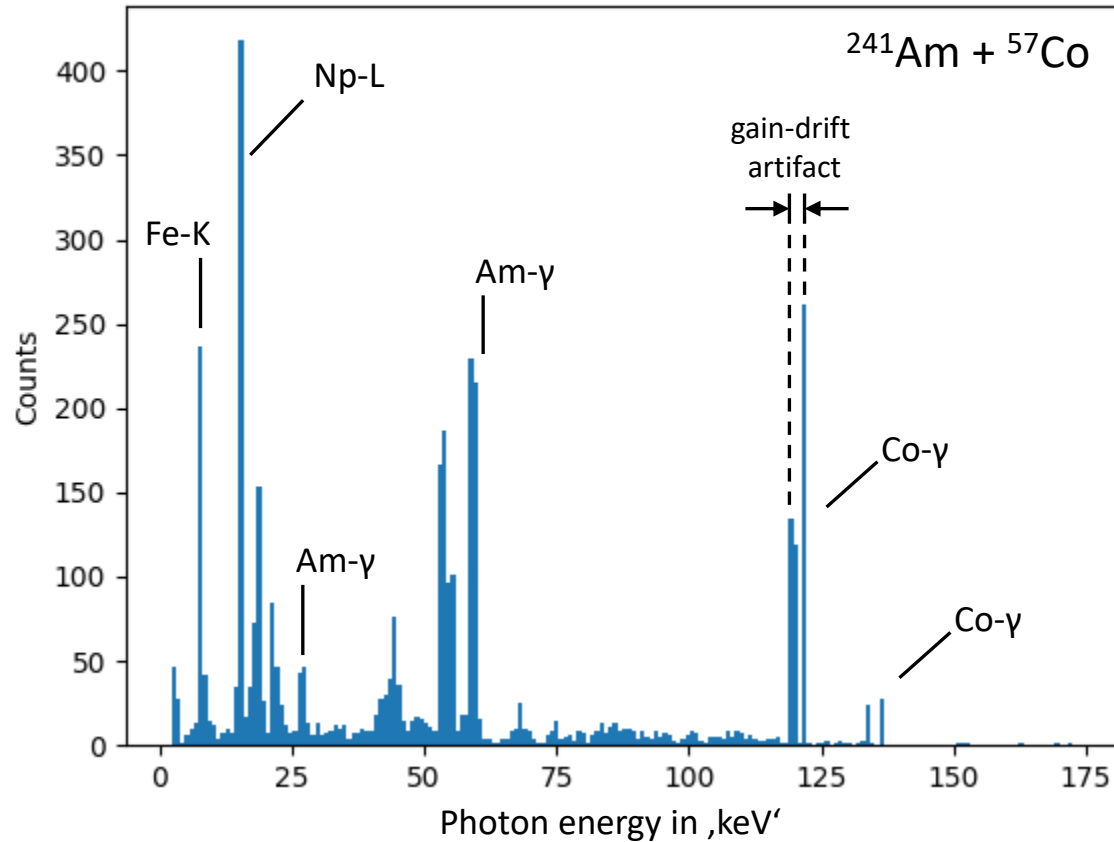
Bonus: Lets us estimate real-world parameters



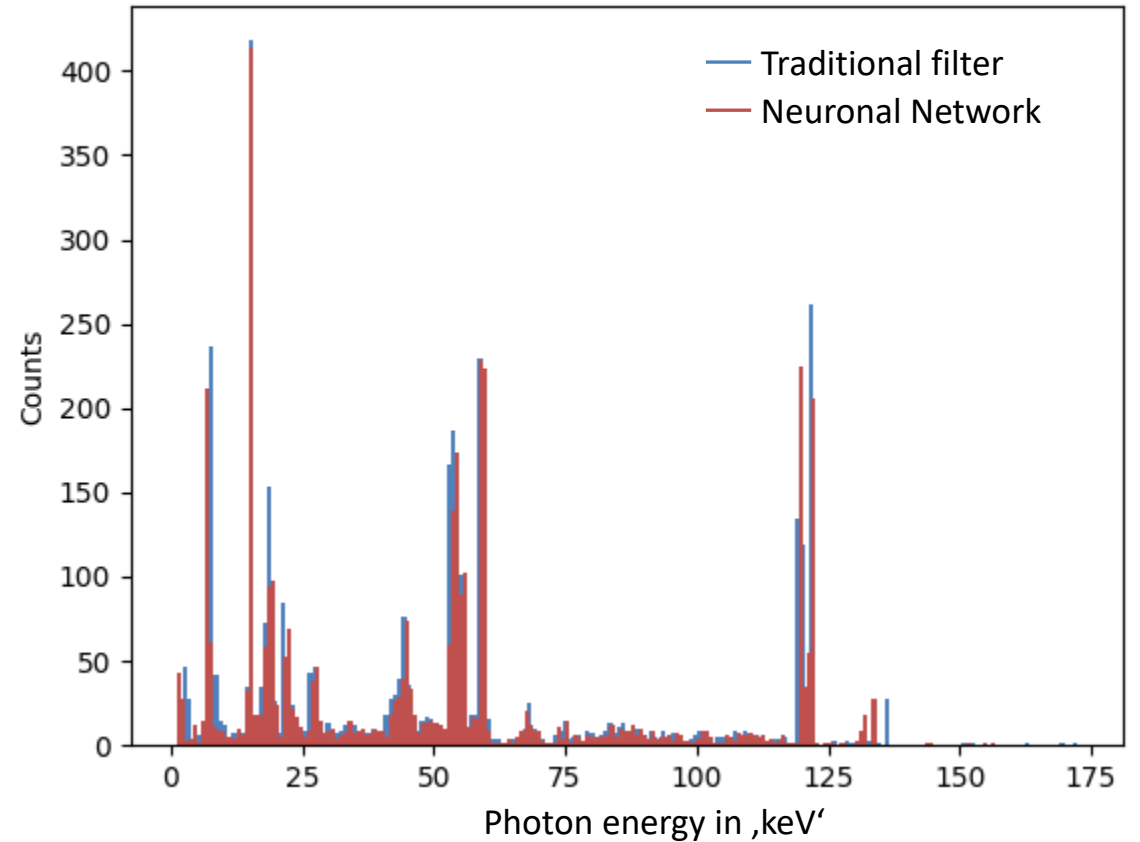
Real-World data embedding is a subvolume of synthetic Data



# Results II: Real World Data



Real-world spectrum from NN trained on synthetic data

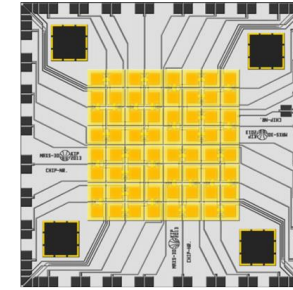


Beam time E138, 2021 at CRYRING@ESR  
Single channel, no drift correction  
Moving Window Deconvolution

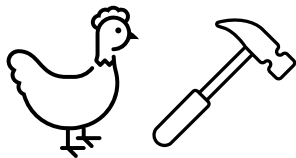
# Conclusion and Outlook

# Summary

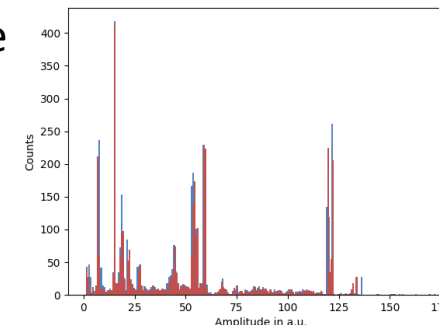
MMCs as promising tool for high precision X-ray spectrometers  
Require a lot of knowledge about each individual detector channel  
Need to explore new ways to optimize the read-out scheme



Many opportunities to use methods of AI to enhance MMC application  
Chosen to start with pulse shape analysis because it's most accessible  
Use synthetic pulses to bootstrap the process  
Make the NN learn the general pulse shape



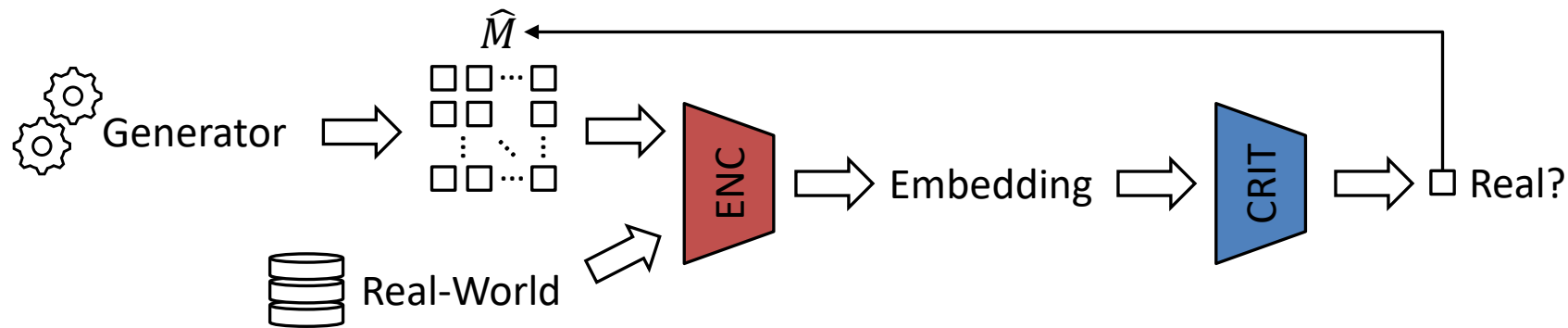
Use CVAE to find embedding of pulse into a lower dimensional latent space  
Map compressed pulse information to signal parameters via MLP  
Successful benchmark against currently used FIR algorithm  
Real-world data subspace of synthetic data embedding  
**Real-world data spectrum from NN trained on synthetic data**



# Future Plans

*Near:* Improve inclusion of real-world data into training

Use Generative Adversary Network (GAN) to improve generator



Use CVAE+MLP to generate iteratively generate pseudo-labels

*Mid:* Implement more signal read-out steps

*Far:* Automated SQUID-tuning with supervised learning

# Thank you for your attention!

Thank you to everyone who has participated and helped  
(non-exhaustive list)

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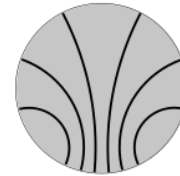
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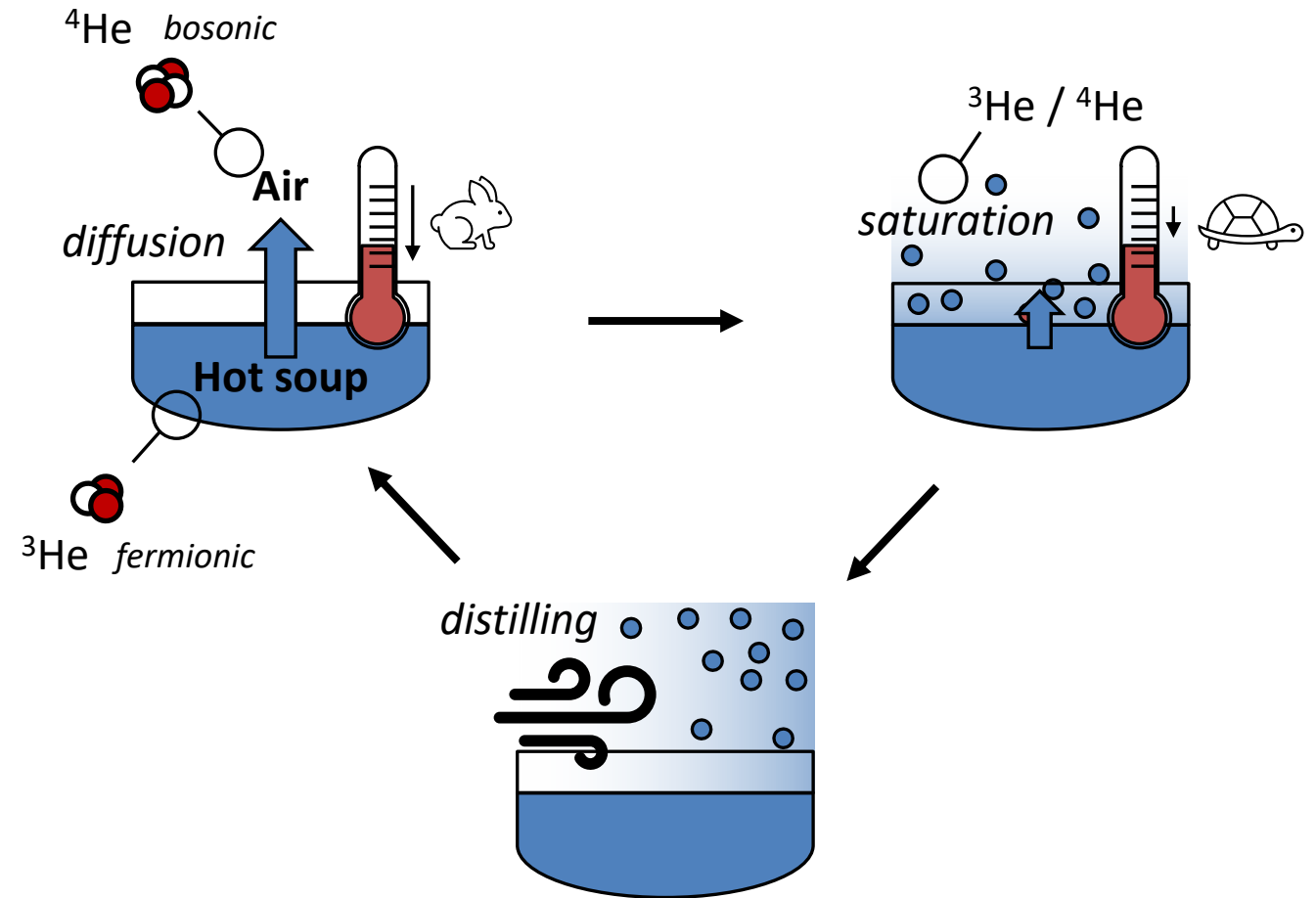
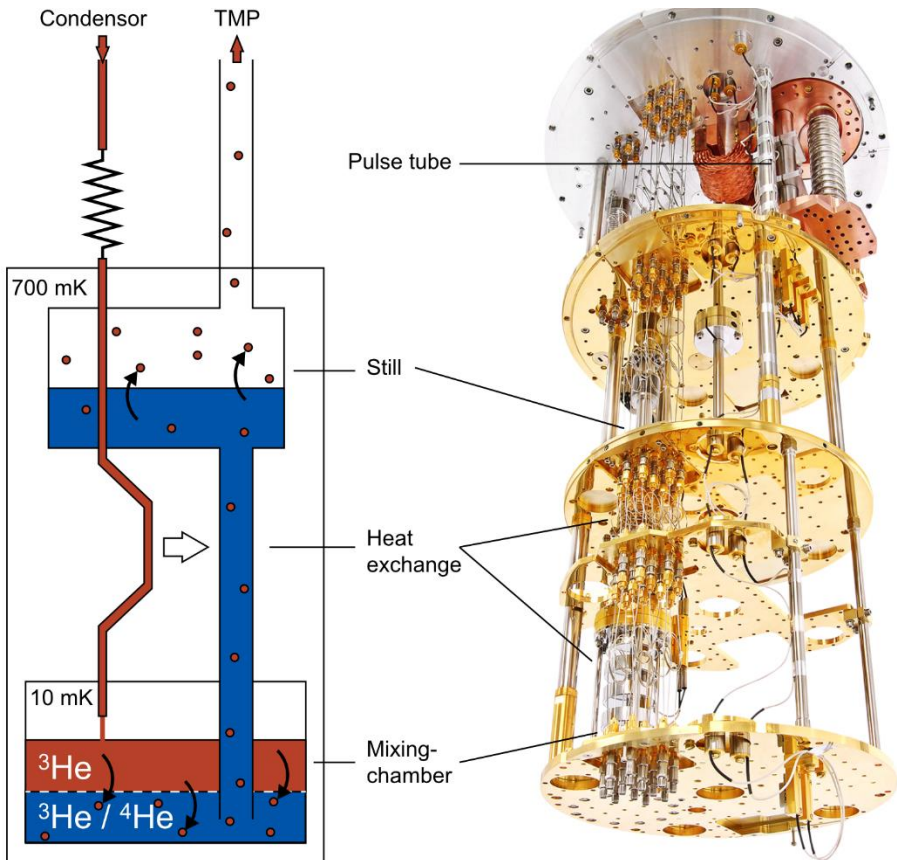
 Federal Ministry  
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and Research

Freistaat  
**Thüringen** 

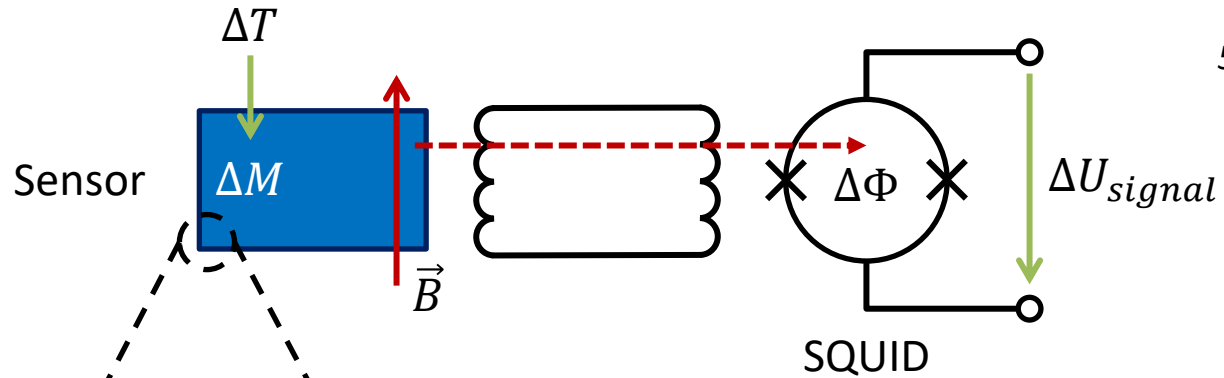
  
Thüringer Aufbaubank

# Backup

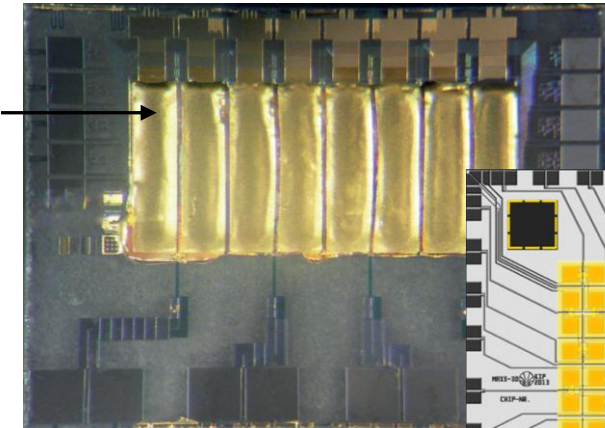
# Dilution Cryostat



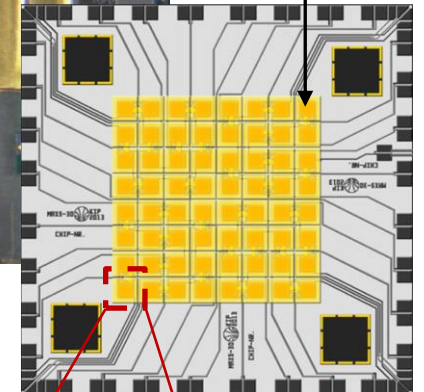
# Working Principles



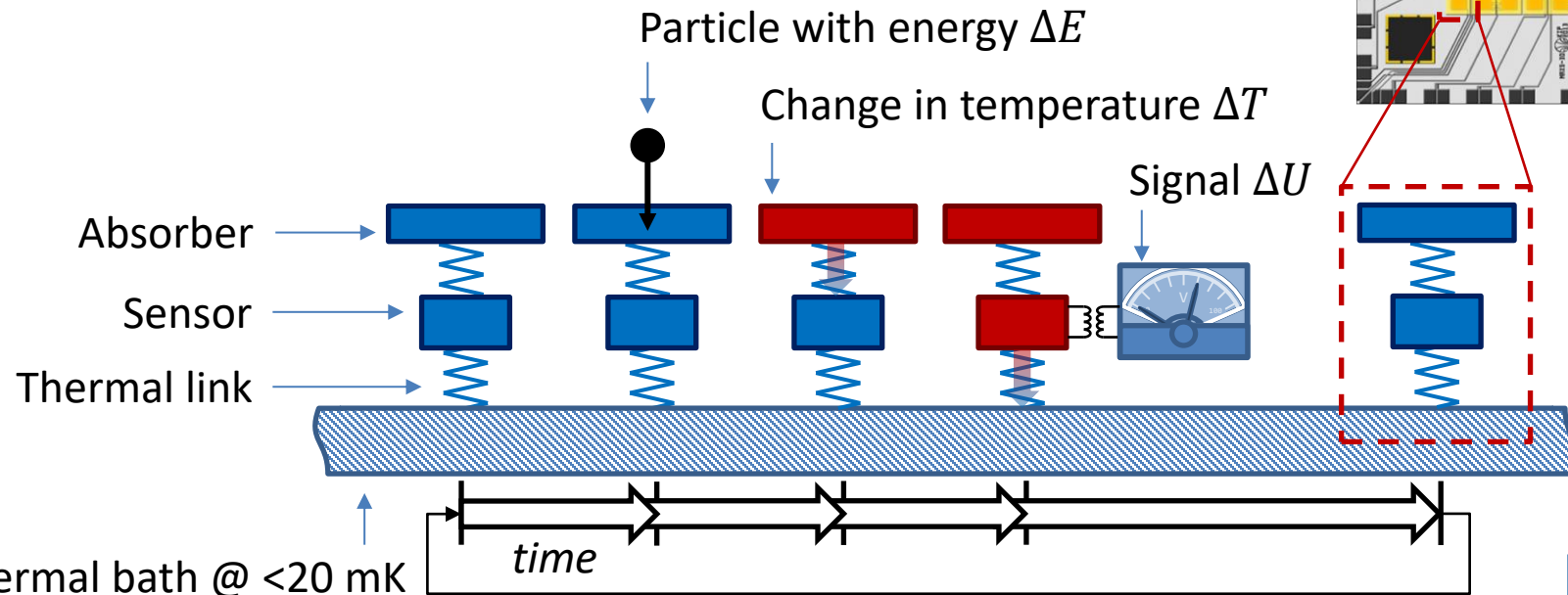
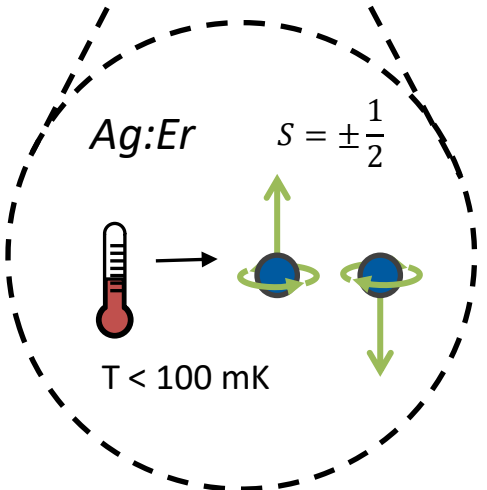
maXs-200



500  $\mu\text{m}$  x 500  $\mu\text{m}$



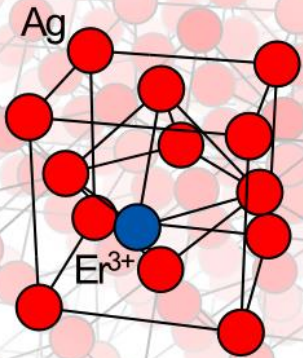
maXs-30



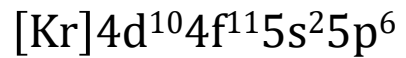


# MMC Sensor

fcc



Few 100 ppm of Er in Ag / Au

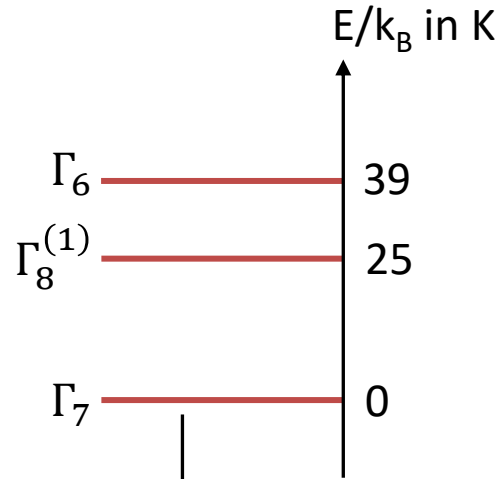


2 Å, closed

0.6 Å, 3 e<sup>-</sup> missing

→ magnetic moment

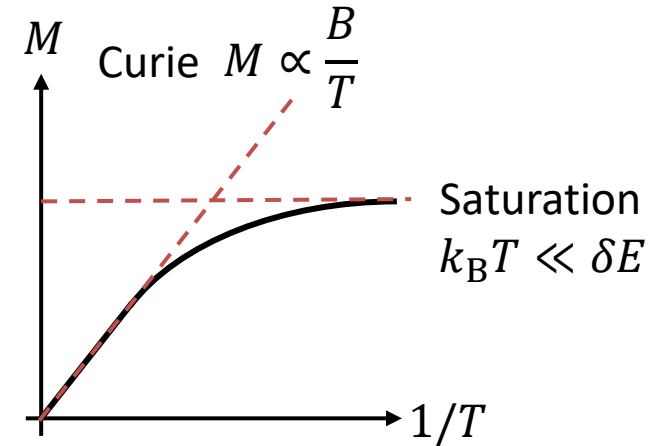
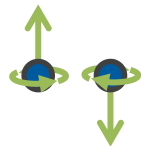
< 100 K: interaction with crystal field splits ground state



doublet  $\tilde{S} = 1/2$

Zeeman effect

$$\delta E = \tilde{g}\mu_B B$$



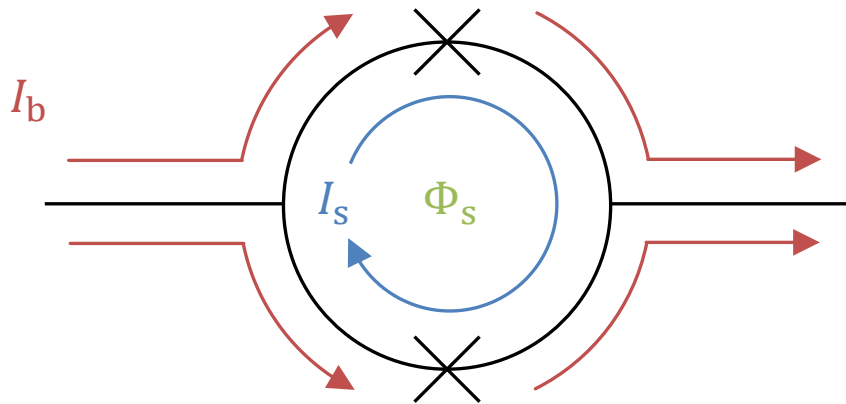
Thermal energy into Zeeman System

Random spin flips out of orientation

$$\Delta M = -\frac{1}{VB} C_Z \Delta T$$

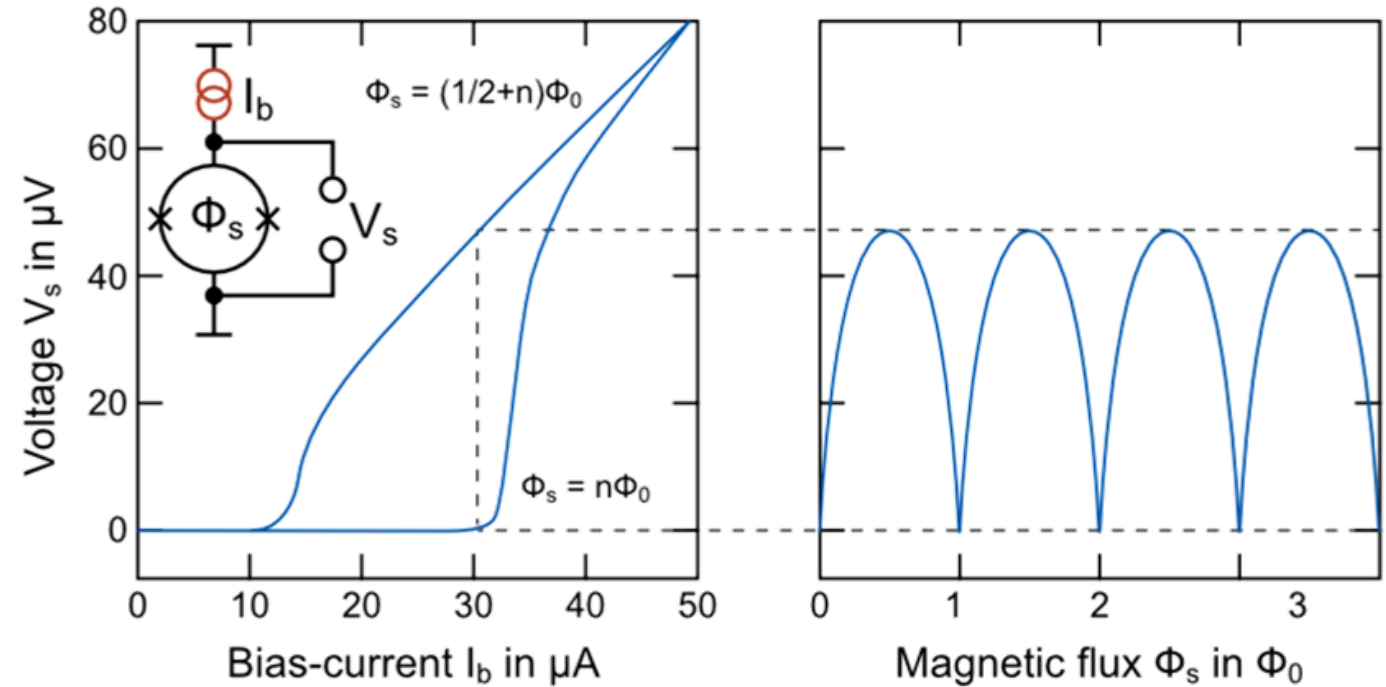
# SQUID

SQUID magnetometer for sensor read-out  
 Superconducting **Q**uantum-**I**nterference **D**evice  
 Sensitive to changes in magnetic flux



$I_J = I_c \sin \Delta\phi$  → Flux modulates phase  
 Like optical interferometer

Flux-quantization in closed sc loop → shielding  $I_s$   
 Overlapping bias  $I_b$  and shielding  $I_s$  shift critical  $I_c$   
 Quasi-particle flow leads to U-drop across SQUID

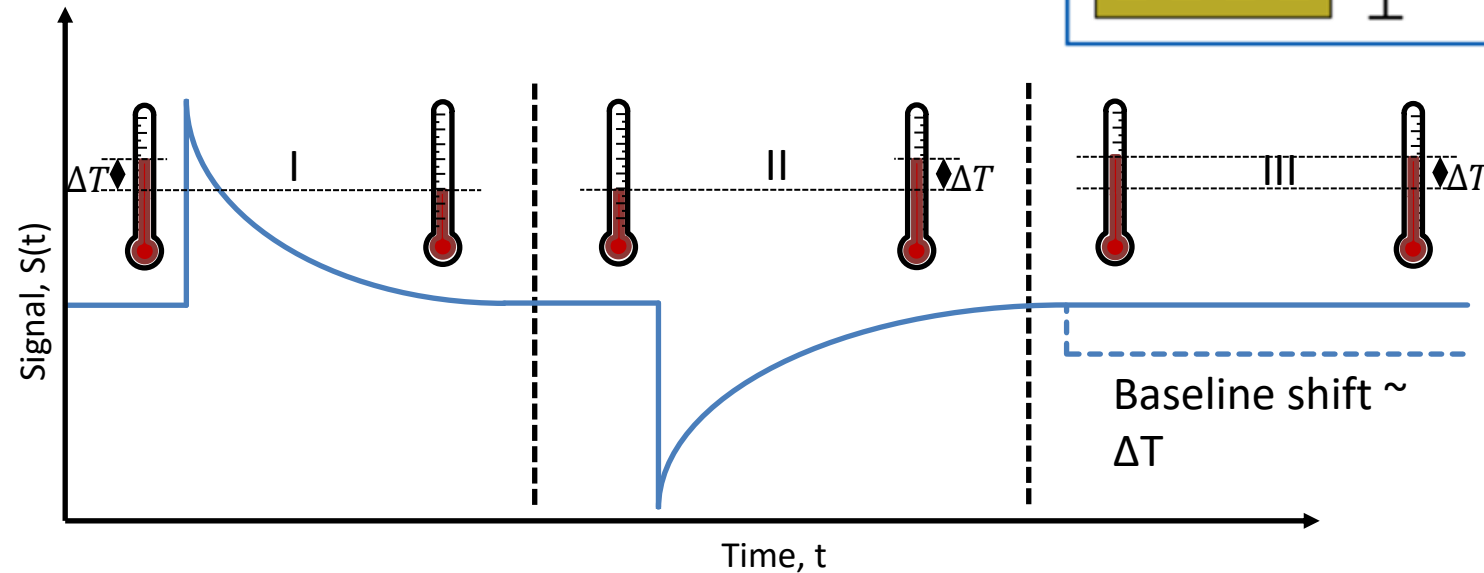
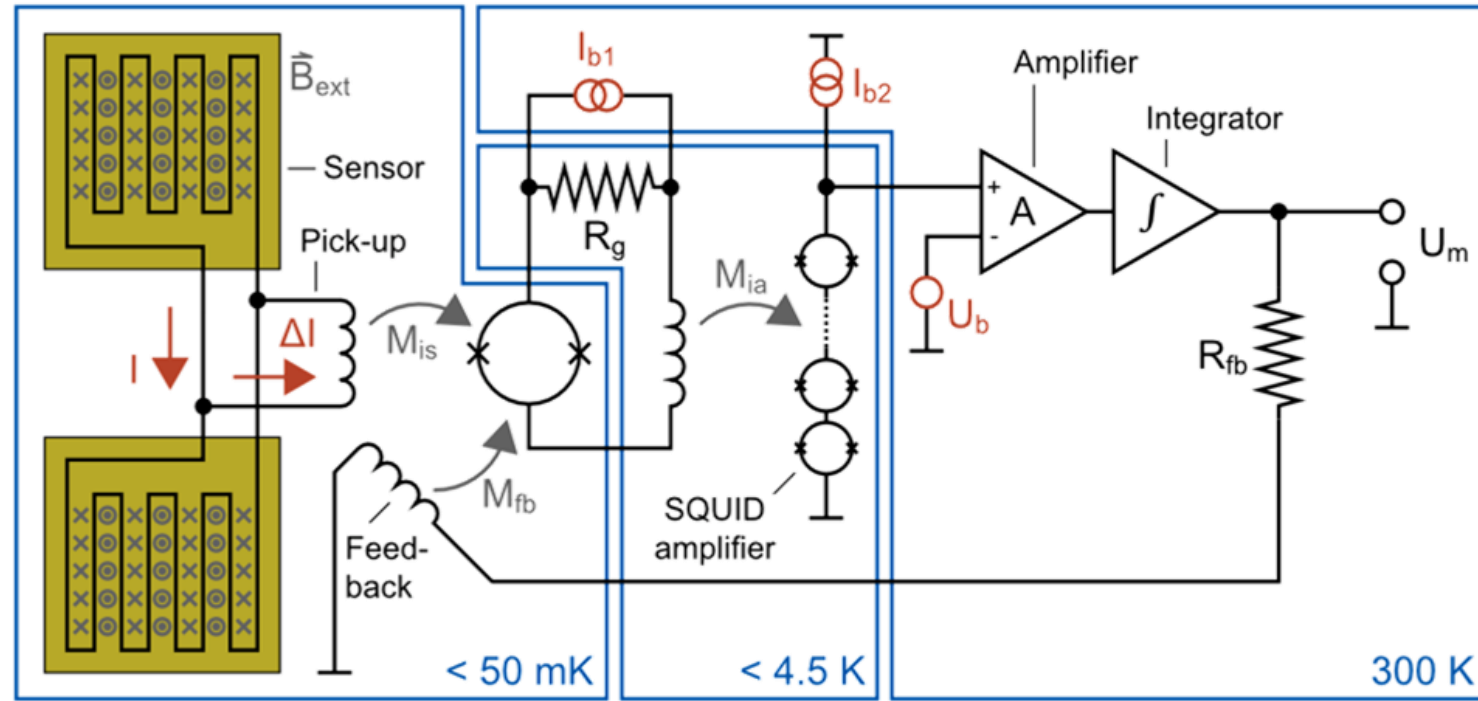


# Read-out and Amplification

Gradiometric setup cancels global temperature fluctuation

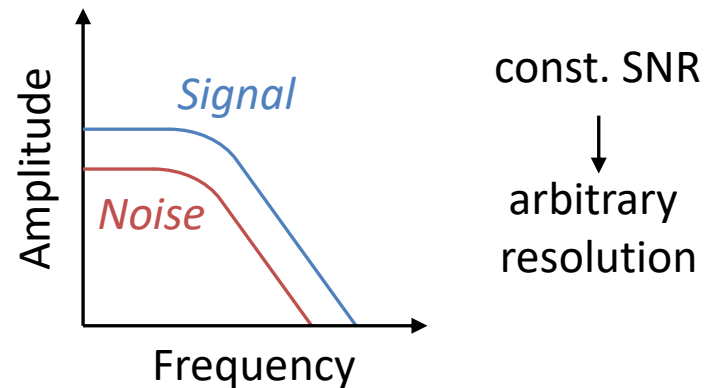
Imbalance by design creates temperature sensitive pixels

Flux-locked loop (FLL) to stabilize operation point  
Cryogenic SQUID based multistage amplifier



# Resolution

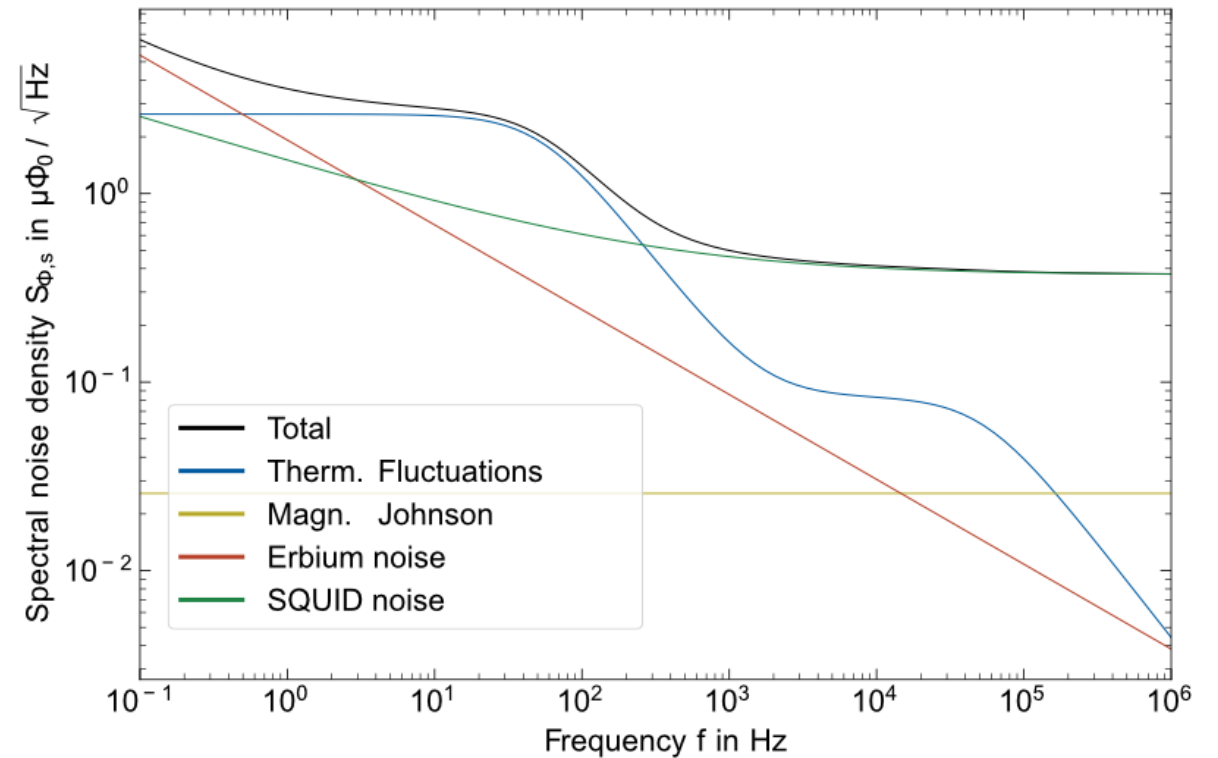
Ideal Case: Only one thermal capacity  
Noise from thermal fluctuations



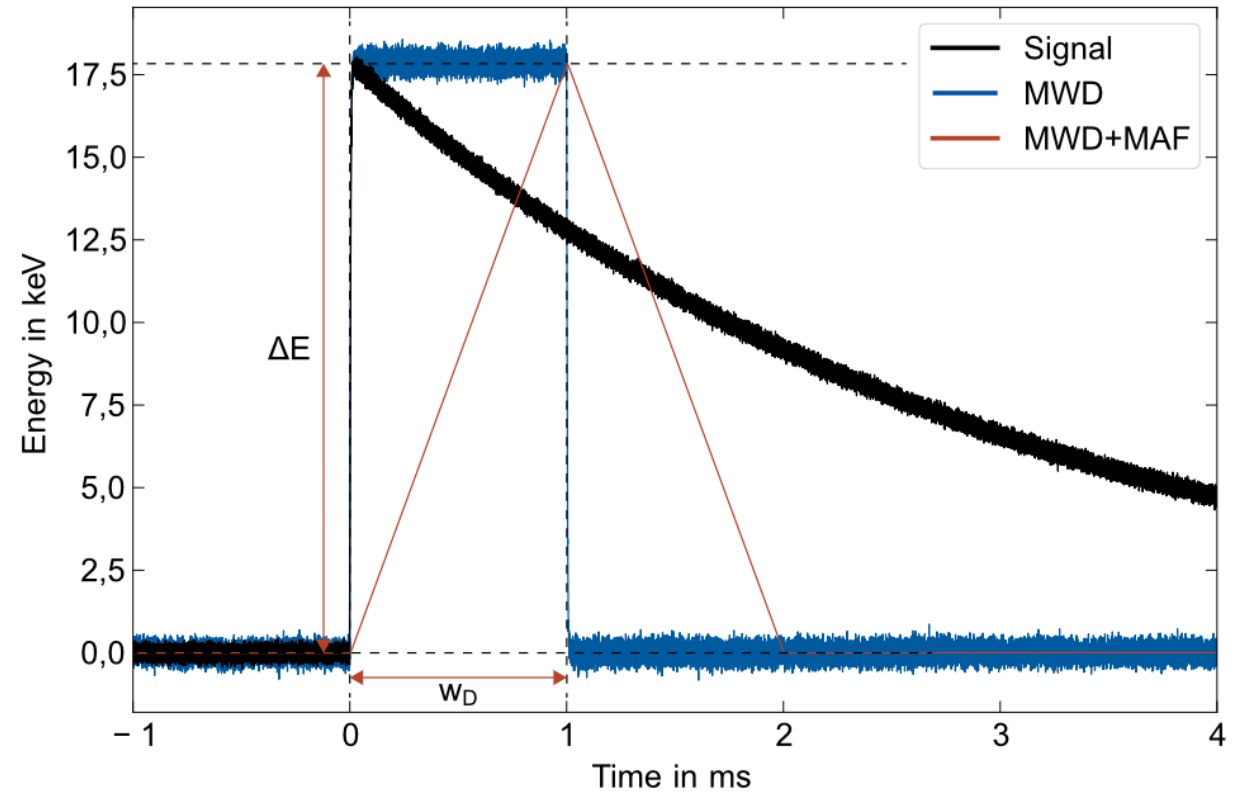
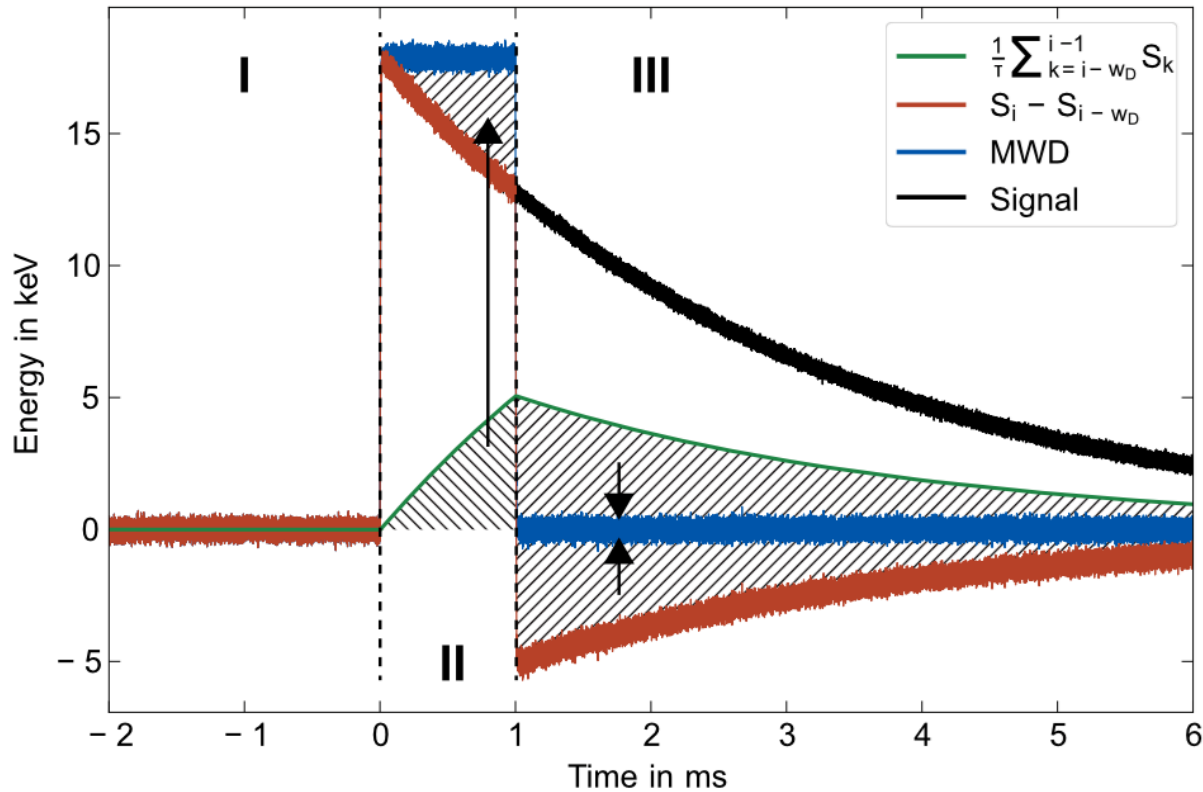
$$\Delta E = \sqrt{4k_B T^2 C} \cdot \left( \frac{1}{\beta(1-\beta)} \frac{\tau_0}{\tau_1} \right)^{-\frac{1}{4}}$$

→ (Fundamental) resolution is determined by bandwidth limitations  
Can be optimized by component design

Reality: Multiple coupled systems  
Additional noise sources (environment, read-out, ...)



# FIR-based Signal Processing



Moving Window Deconvolution

$$MWD(S; t_i) := S(t_i) - S(t_{i-w_D}) + \frac{1}{\tau} \sum_{k=i-w_D}^{i-1} S(t_k)$$

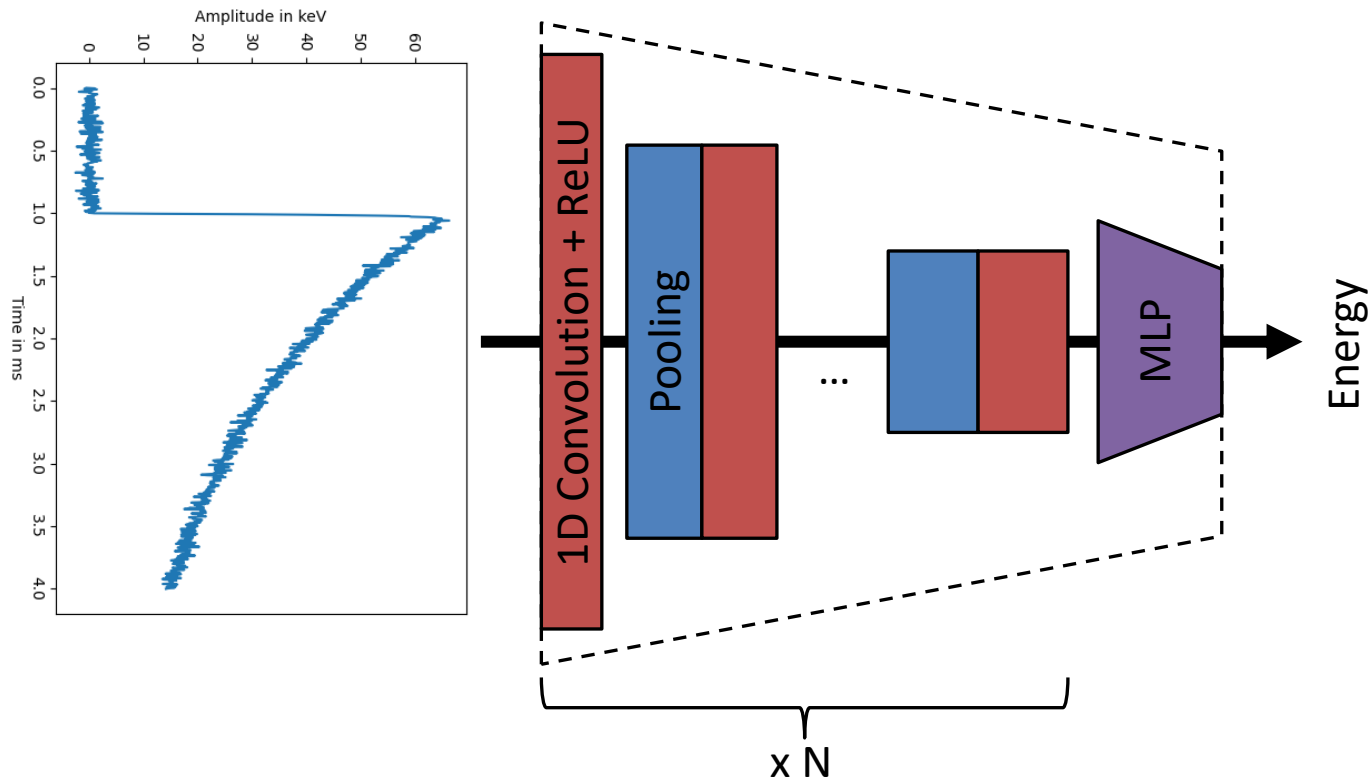


Moving Average Filter

# First Attempt: CNN

Source: S. Kiranyaz et al., *ICASSP 8360* (2019)

## Convolutional Neuronal Network (CNN)



Comparable results to traditional filtering method.

- + Outperforms FIR approach in scenarios with high parameter jitter.
- Unstable during training.
- Difficult to train with real-world data.

MLP = Multi-Layer Perceptron  
FIR = Finite Impulse Response

## Moving Window Deconvolution

