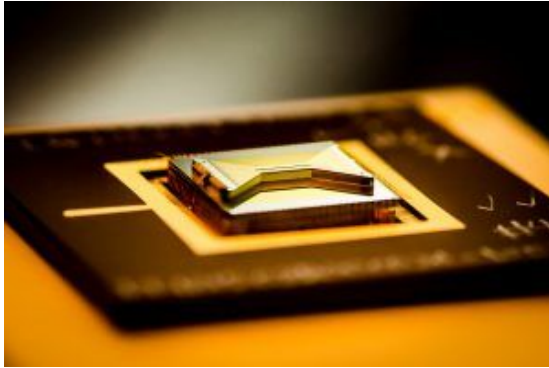


Quantum sensing for ultra low thresholds

Daniel Carney



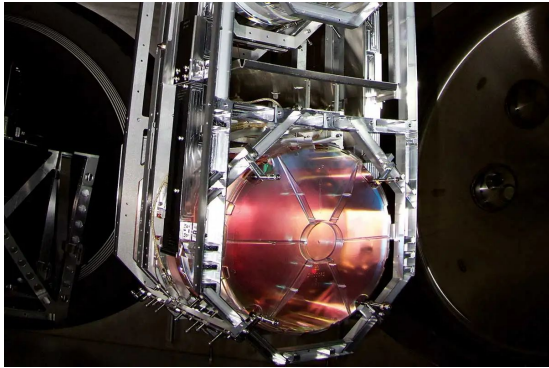
 @four_form



Hello! Thanks for having me.

Bad news:

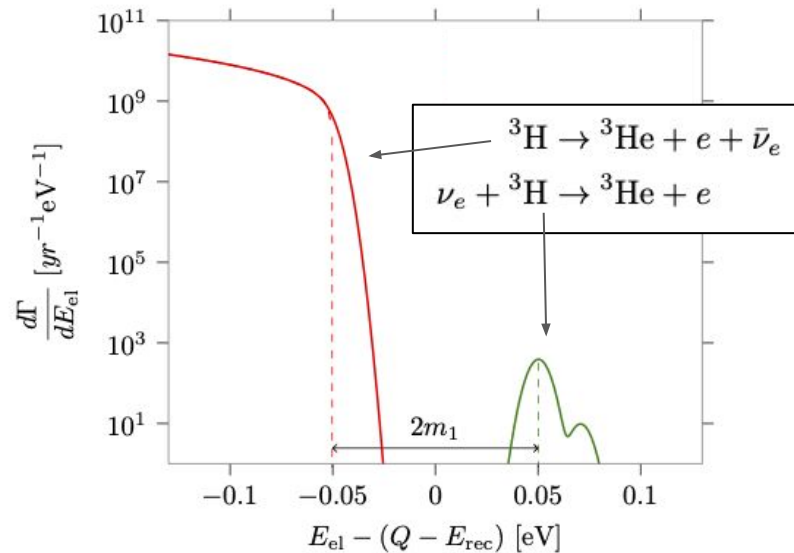
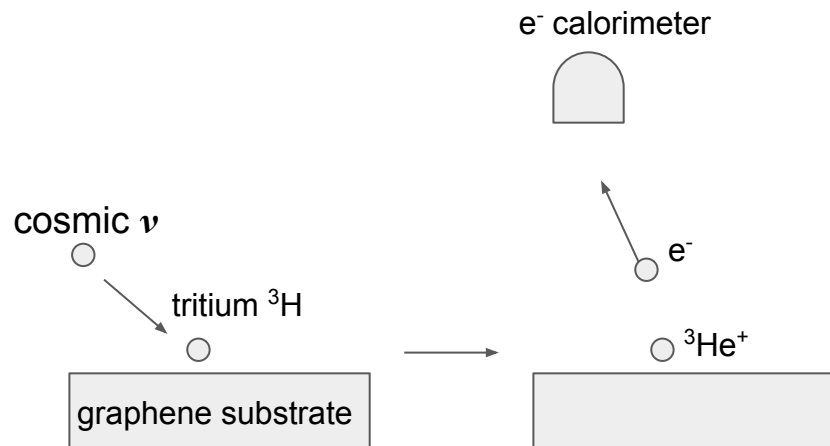
- I'm not a particle physicist
- I'm a theorist who is going to talk like an experimentalist



Good news:

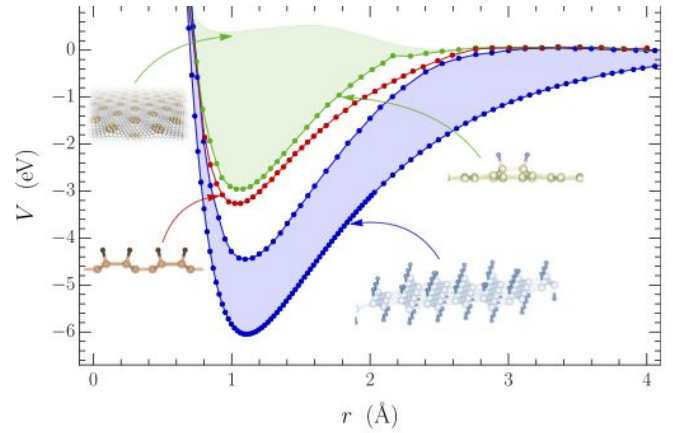
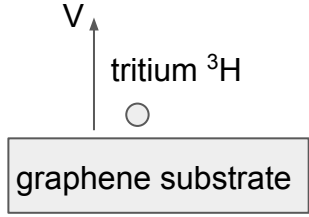
- I'm friendly
- I only have ~20 slides

PTOLEMY versus quantum mechanics



Weinberg 1962

Cheipesh, Cheianov, Boyarsky 2021



Tritium is bound in a potential generated by the graphene. The ground state wavefunction has:

$$\Delta x \sim 1 \text{ angstrom} \rightarrow \Delta p > 1 \text{ keV}$$

by **Heisenberg uncertainty**. But this produces a final-state uncertainty $\Delta E_e > 1 \text{ eV}$.

→ **no way to resolve the ~100 meV shift from neutrino mass.**

Outline

- Quantum mechanics imposes fundamental sources of noise.
- Quantum noise will continue to be important in variety of contexts, high energy and otherwise, **HOWEVER**
- **These noise sources can often be engineered away.**

Review:

“Quantum measurements in fundamental physics: a user’s manual”

2311.07270

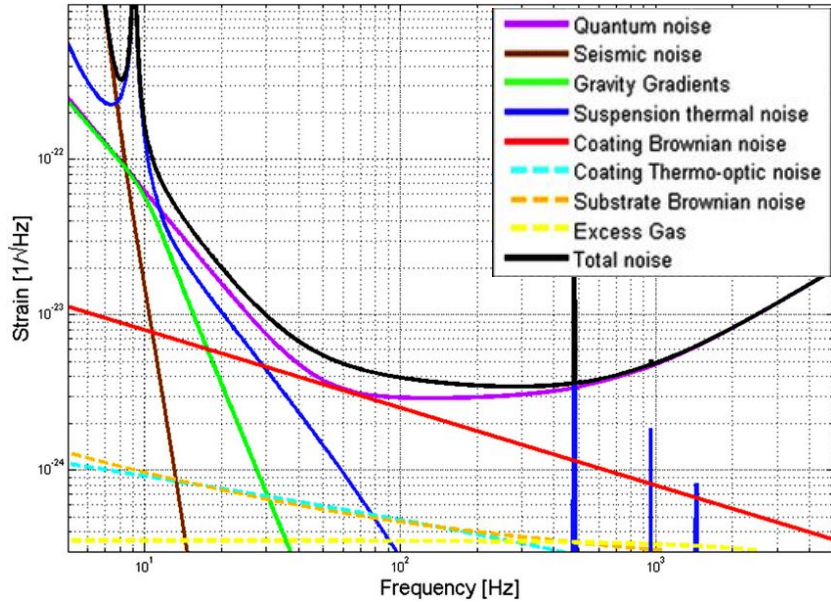


Giacomo Marocco
(LBL postdoc)



Jacob Beckey
(JILA + LBL → UIUC)

Quantum-limited detection of motion

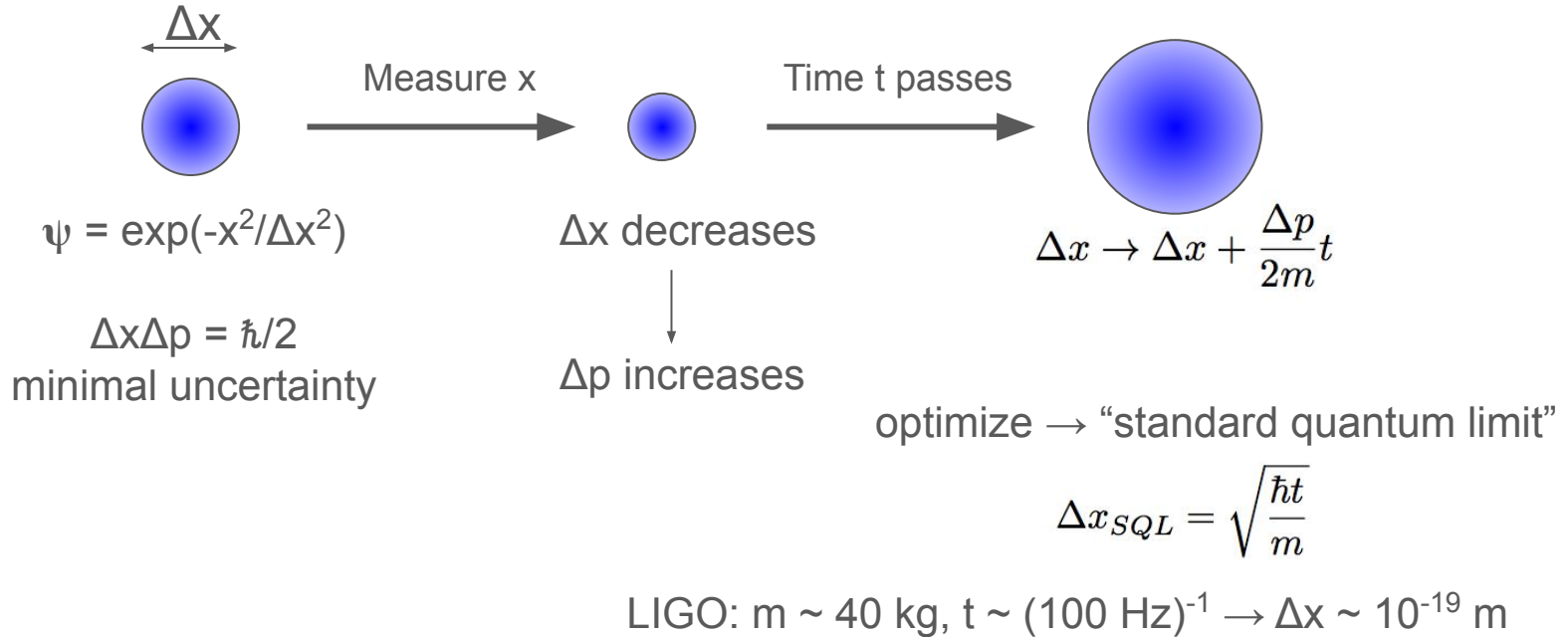


Quantum-mechanical noise in an interferometer

Carlton M. Caves

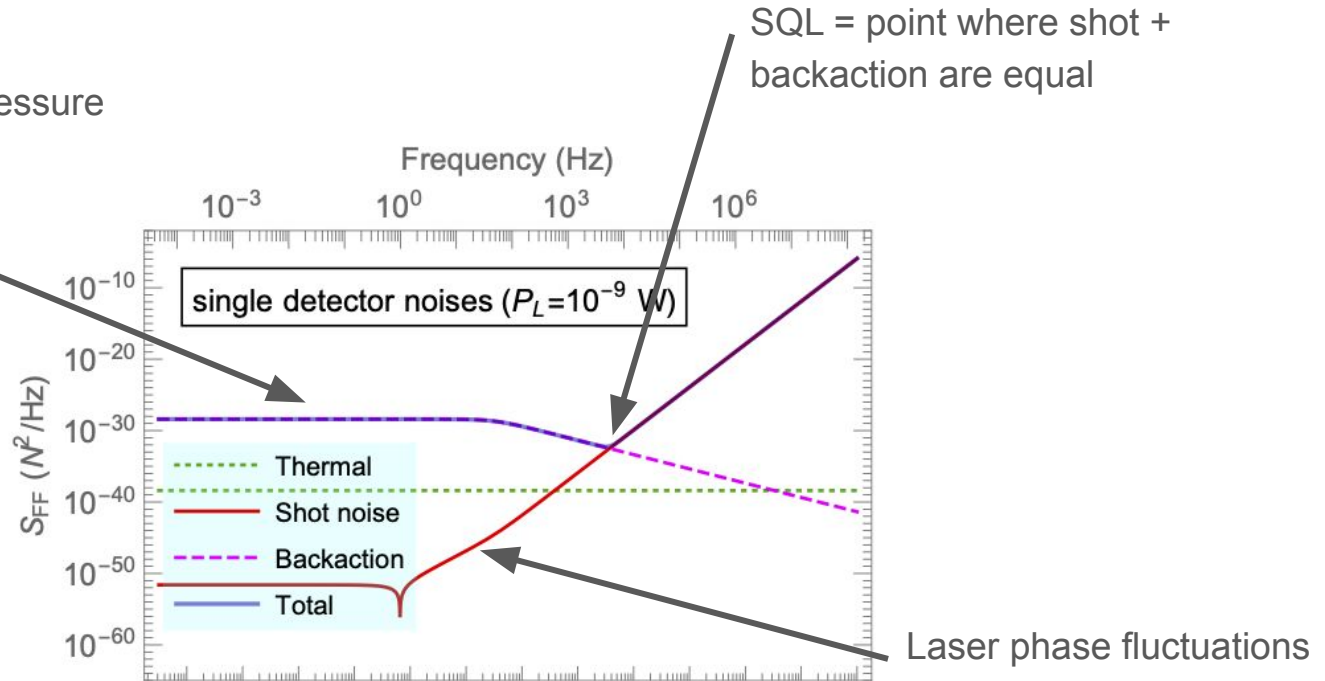
W. K. Kellogg Radiation Laboratory, California Institute of Technology, Pasadena, California 91125

(Received 15 August 1980)



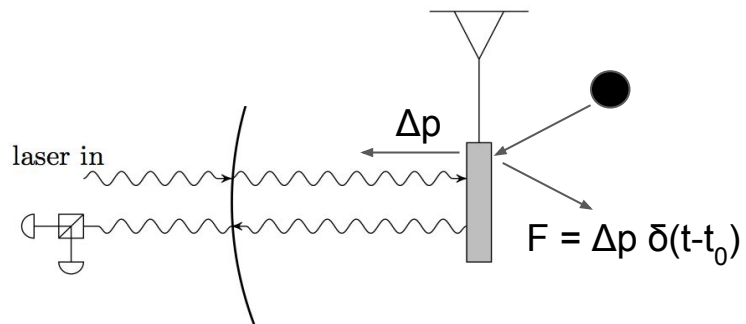
Standard quantum limit

Random radiation pressure
from laser

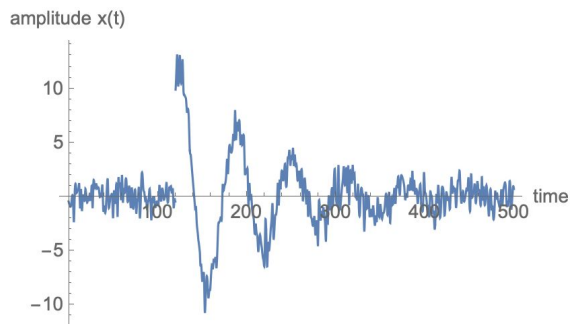


Sensor $m = 1$ mg, frequency = 1 Hz, dil fridge

Quantum-limited impulse sensing



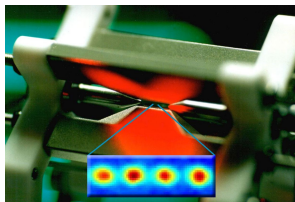
$$\Delta p_{SQL} = \sqrt{\hbar m_s \omega}$$



Meaning: can observe impulses at scale of **detector quantum vacuum fluctuations**

Quantum-limited impulse sensing

Trapped electrons, ions

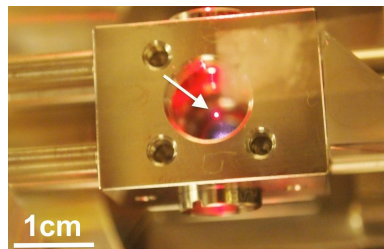
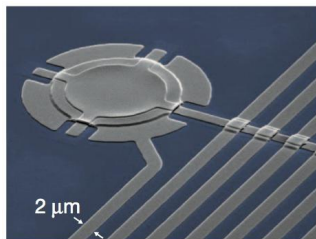


$$\Delta p_{SQL} = \sqrt{\hbar m_s \omega}$$

$$\sim 10 \text{ meV} \rightarrow \Delta E \sim 0.1 \text{ neV}$$

$$(m = m_e, \omega/2\pi = 100 \text{ kHz})$$

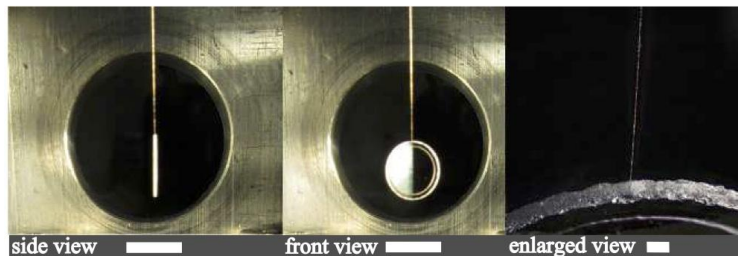
Nanomechanical objects



$$\sim 10 \text{ keV} \rightarrow \Delta E \sim 0.01 \text{ neV}$$

$$(m = 1 \text{ fg}, \omega/2\pi = 10 \text{ kHz})$$

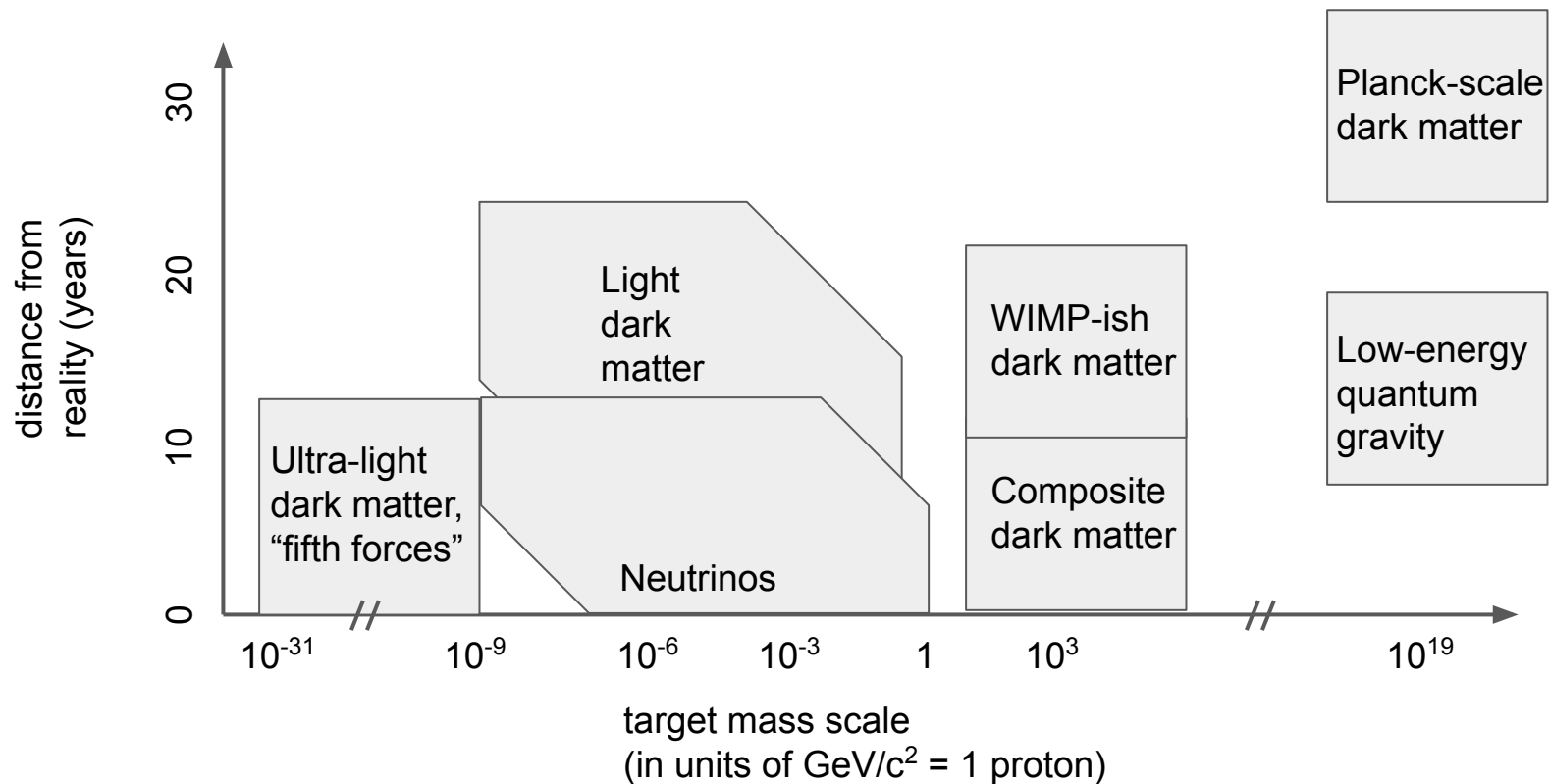
Macroscopic objects
(>microgram scale)



$$\sim 1 \text{ GeV} \rightarrow \Delta E \sim 0.001 \text{ neV}$$

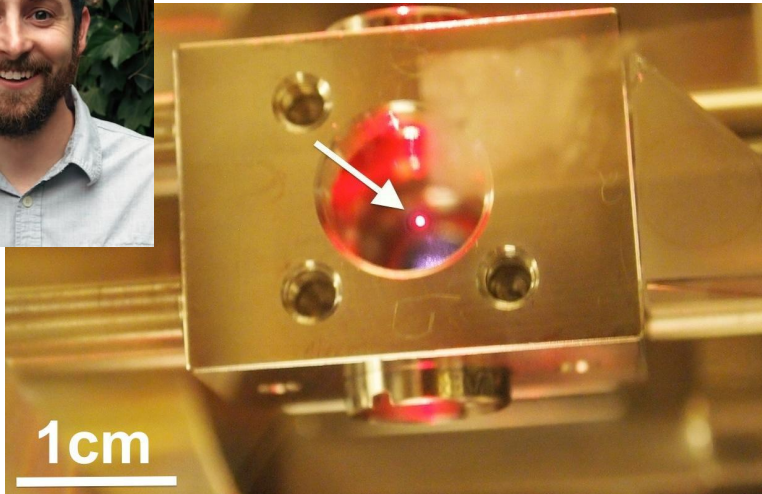
$$(m = 1 \text{ mg}, \omega/2\pi = 1 \text{ kHz})$$

Mechanical sensing targets



The first experiment

Search for new Interactions in a Microsphere
Precision Levitation Experiment (SIMPLE) @
Dave Moore group, Yale



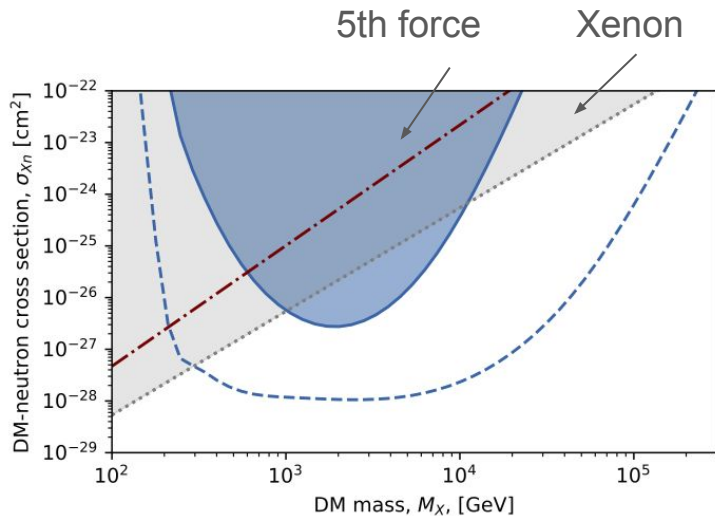
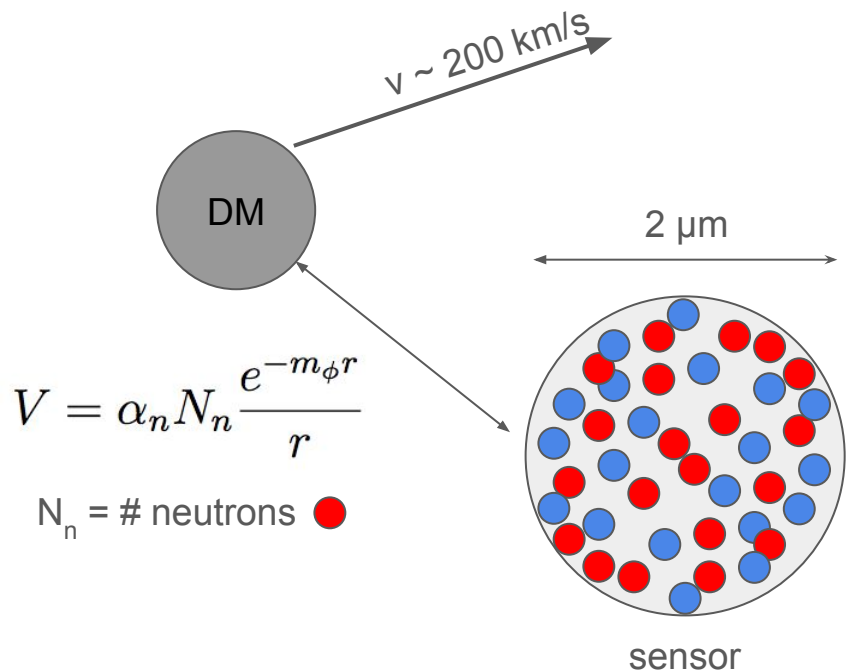
2020:

0.1-10 ng dielectric spheres ($R \sim \mu\text{m}$)

Optically levitated, stability \sim days

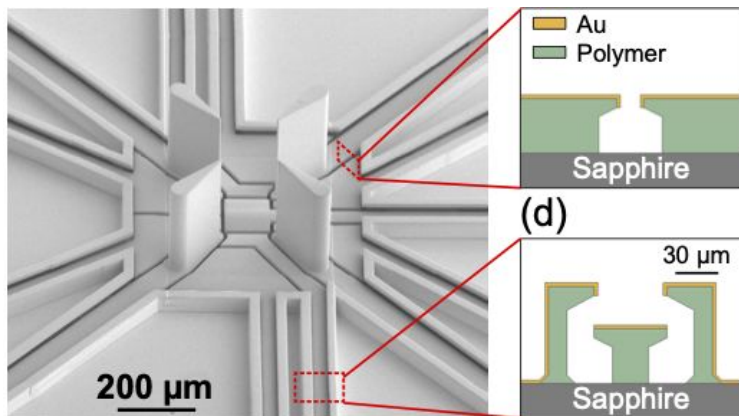
\sim 75 MeV momentum transfer resolution (\sim
100 x SQL)

The first experiment



Monteiro, Afek, Carney, Krnjaic,
 Wang, Moore **PRL** 2020

The lowest threshold detectors possible

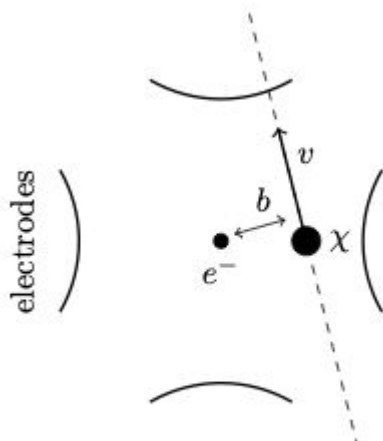


Microwave/RF trapped ions, electrons

Fundamental limit: lightest possible detectors

$\Delta p \sim 10 \text{ meV} \rightarrow \Delta E \sim 0.1 \text{ neV}$
 ($m = m_e, \omega/2\pi = 100 \text{ kHz}$)

Possible applications: millicharged DM, calorimeters

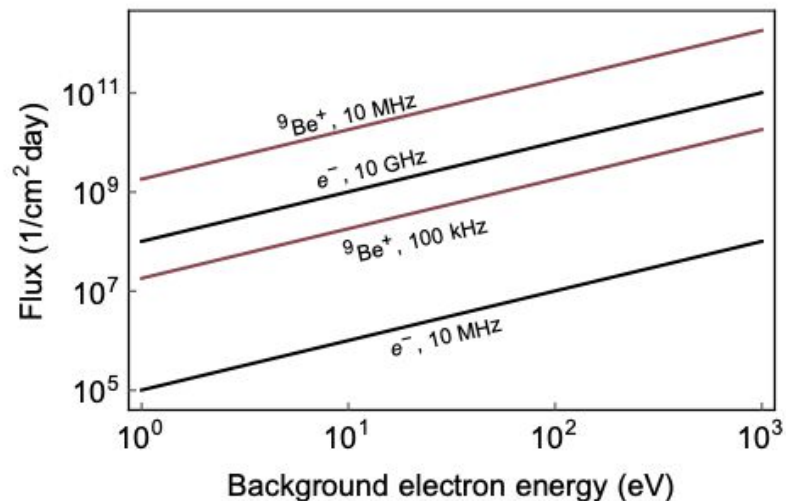
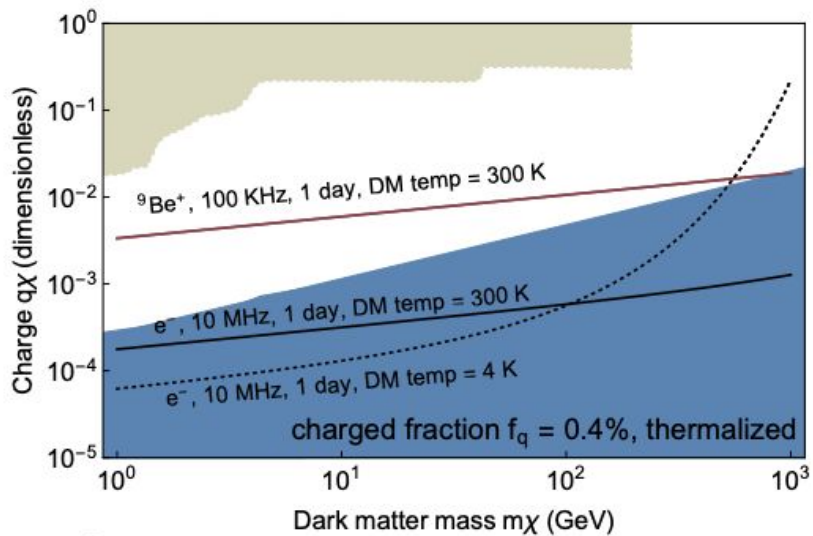


$$\sigma_{\text{eff}} \approx 4 \mu\text{m}^2 \times \frac{q_\chi^2}{v^2} \times \left(\frac{100 \text{ kHz}}{\omega/2\pi} \right)$$

Carney, Haffner, Moore, Taylor **PRL** 2021

Pic from Haffner group @ UC Berkeley: Xu et al 2310.00595

The lowest threshold detectors possible

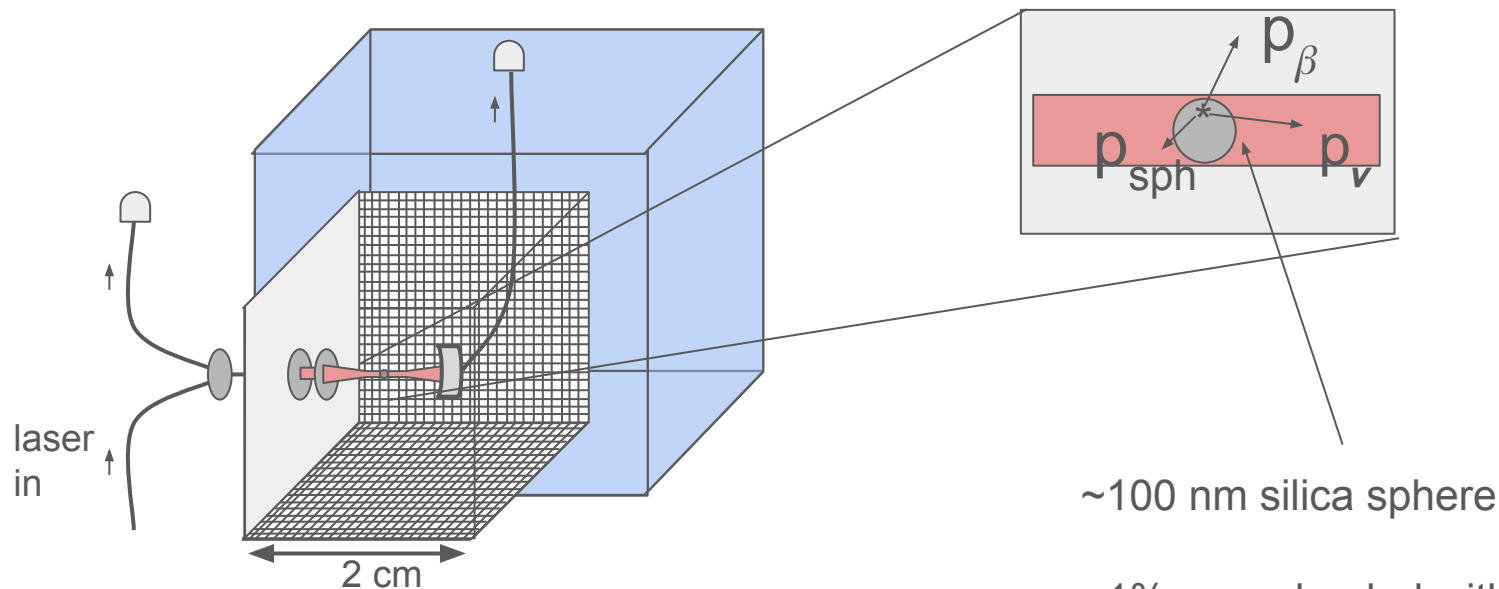


Carney, Haffner, Moore, Taylor **PRL** 2021

Budker, Graham, Ramani, Schmidt-Kaler, Smorra **PRX Quantum** 2021

Osada, Taniguchi, Shigefuji, Noguchi **Phys Rev Res** 2022

Quantum Invisible Particle Sensor (QuIPS)



Measure:

- Sphere recoil (optical @ ~SQL, Yale)
- Escaped β electron (pixelated CCD/CMOS, Berkeley)

→ Infer “invisible” (e.g., neutrino) momentum

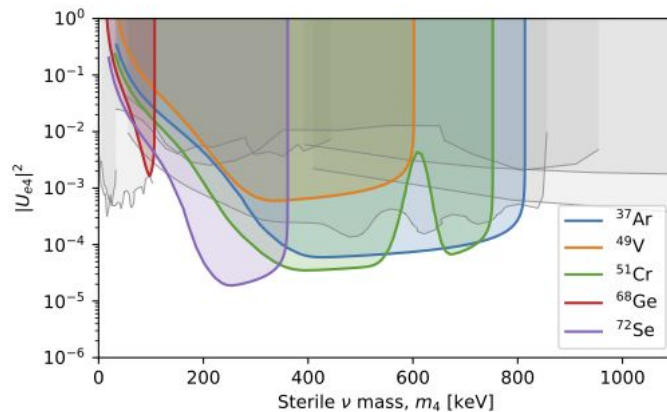
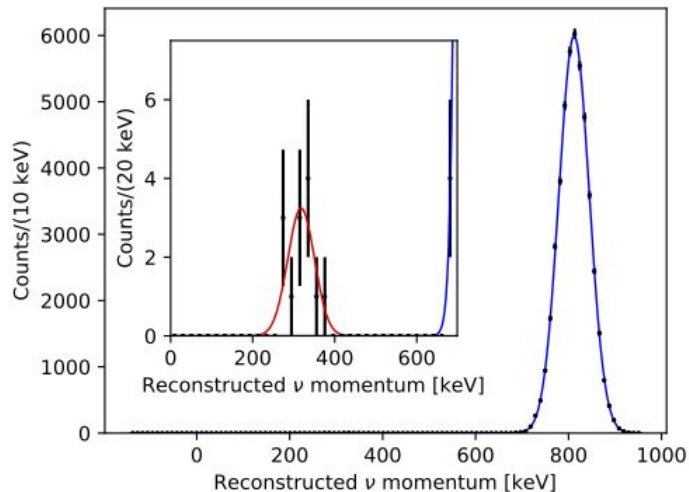
Heavy sterile neutrinos

With a single 100nm sphere at the standard quantum limit (SQL):

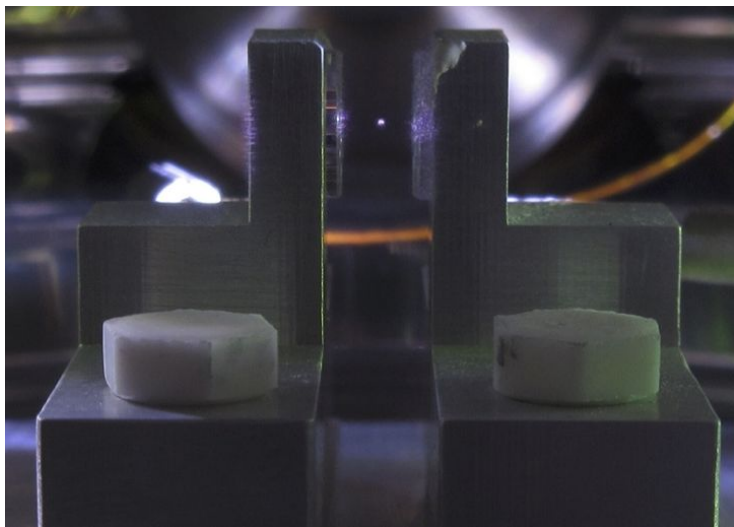
$$\Delta p_{\text{SQL}} = \sqrt{\hbar m_s \omega_s} = 15 \text{ keV} \times \left(\frac{m_s}{1 \text{ fg}} \right)^{1/2} \left(\frac{\omega_s/2\pi}{100 \text{ kHz}} \right)^{1/2}$$

Clear target: search for sterile neutrinos in keV-MeV range

$\sim 10^5$ radioisotopes (~ 1 month with ^{37}Ar)
→ beat existing lab bounds

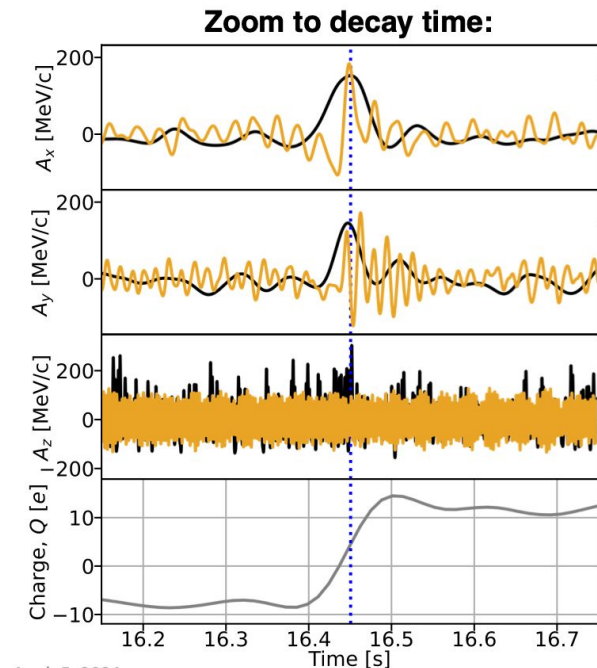


This actually works



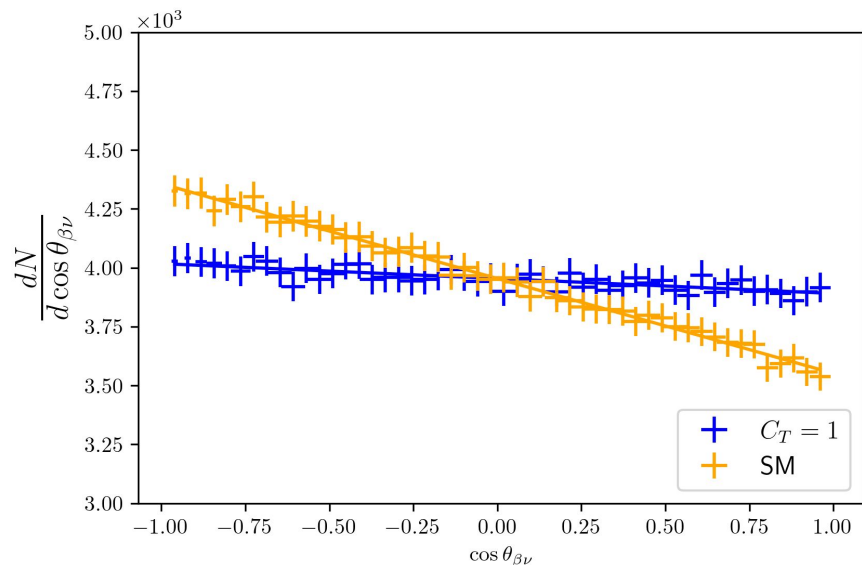
um-scale particle trapped at Yale
Measurement of individual alpha-decay events

Now building pixel calorimeter + 100 nm-scale trap at Berkeley (QuIPS project, LDRD funded)



Mechanical detection of nuclear decays
Wang, Penny, Recoaro, Siegel, Tseng, Moore
2402.13257

Searches for new electroweak symmetries



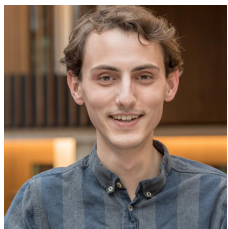
$$\frac{d\Gamma}{d \cos \theta_{e\nu}} = \xi (1 + a_{\beta\nu} \cos \theta_{e\nu})$$

Angle between
emitted electron
and neutrino

= 1/3 exactly in
standard model

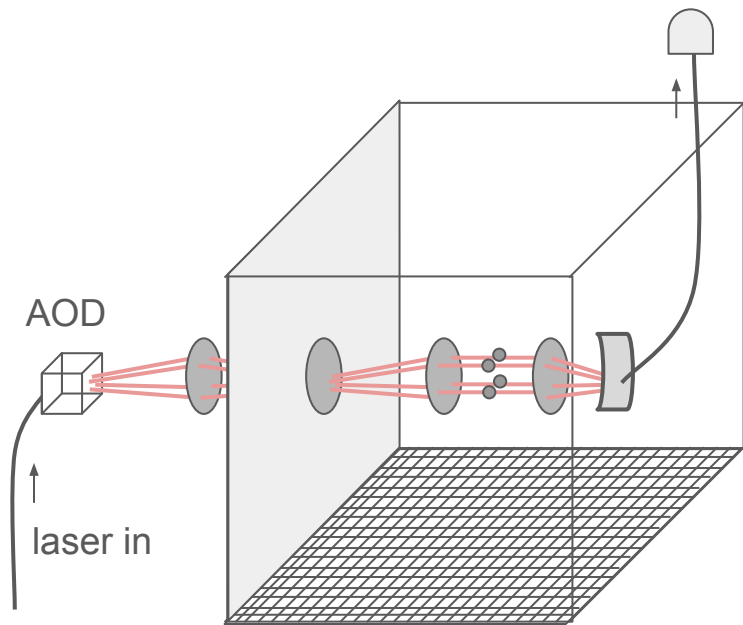
Non-SM physics (e.g., tensor currents in weak sector) affects this 1/3 value

~1 sphere lifetime \rightarrow constrain more precisely than any existing experiment



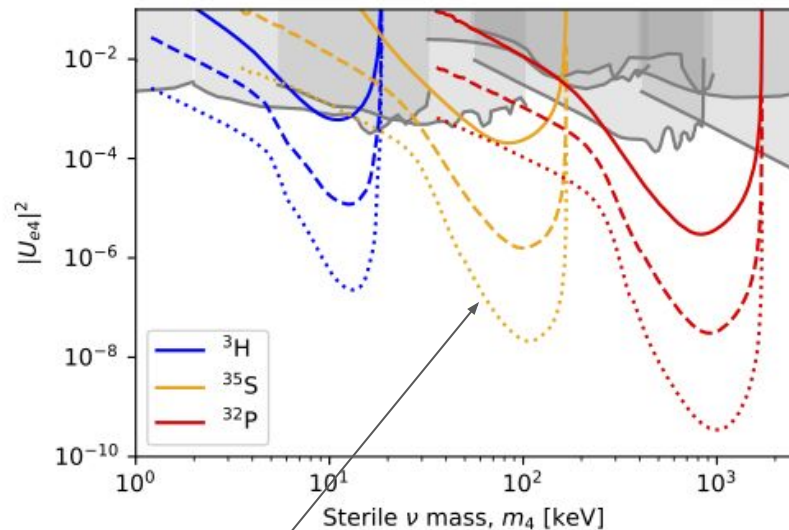
Giacomo Morocco
Dan Kodroff
(LBL postdocs)

Scalable: sensor arrays



Relatively straightforward to trap, read out up to ~ 1000 beads with single laser

Same technique used to create Rydberg atom quantum computers (Harvard/QEra)



1000 spheres x 1 year, SQL

A brief meditation on the word “possible”



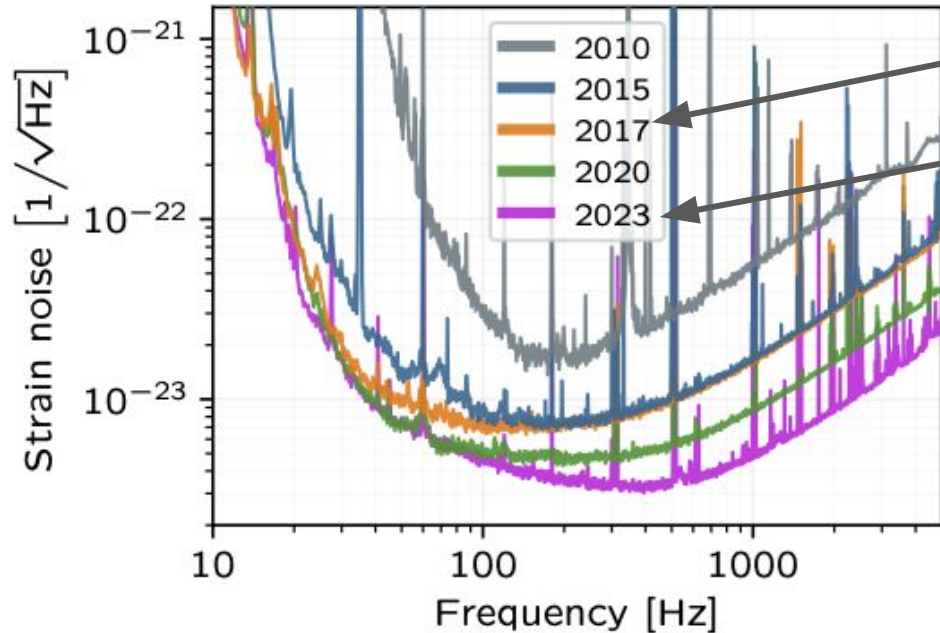
Quantum mechanics and measurement

So far I have talked about detection at the “Standard Quantum Limit” (SQL), where the detector’s vacuum fluctuations dominate the measurement uncertainty

But one might want to go even further – is it possible?

Quantum mechanics itself does not impose any limit to how precisely one can measure a system.

Detection beyond the Standard Quantum Limit



Squeezed light injection

Frequency-dependent squeezing

10% strain reduction \rightarrow 1000% increase in visible mergers

Vacuum: given mode of light has $\Delta X = \Delta Y = \frac{1}{2}$
Squeezed light: can have $\Delta X > \frac{1}{2}$, $\Delta Y < \frac{1}{2}$

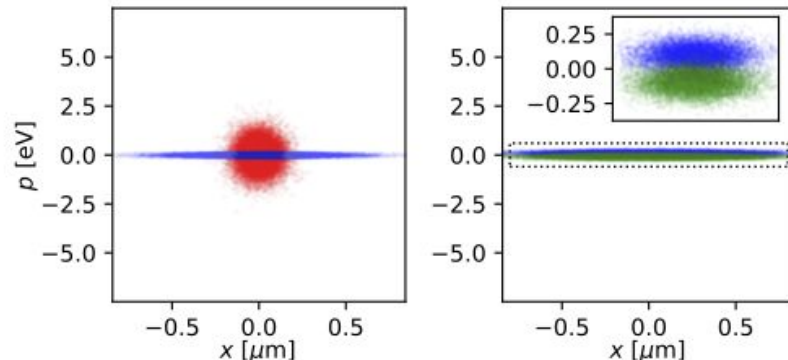
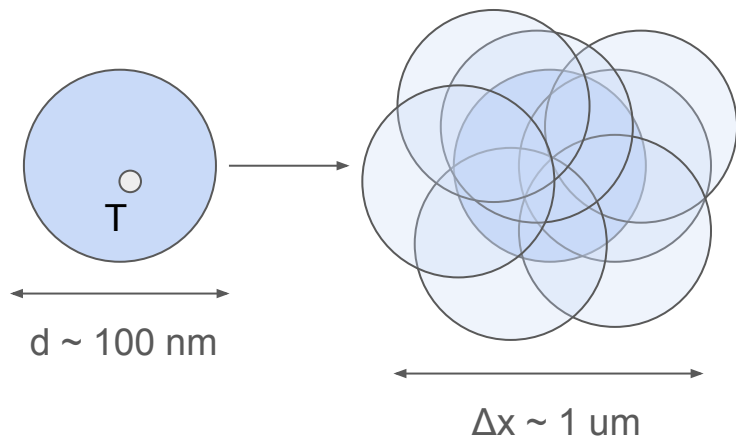


From Evan Hall
(MIT/LIGO)

Neutrino mass measurement?

Holy grail: measure the light neutrino masses ($m \sim 100$ meV). With trapped beads?

Key requirement: prepare and read out sphere center-of-mass $\Delta p \sim 100$ meV $\rightarrow \Delta x \sim 1$ μm



Requires ~ 10 dB squeezing. Possible? Will also require many (~ 1000) spheres, to get rare endpoint events.

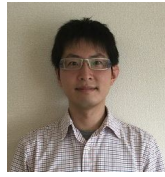
Thanks to many people



C. Regal



S. Bhawe



N. Matsumoto



H. Muller



G. Afek

ex



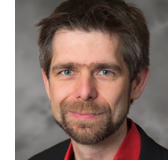
B. Knepper



D. Moore
(EXO)



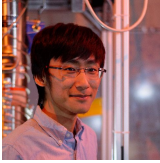
P. Shawhan
(LIGO)



R. Lang
(XENON)



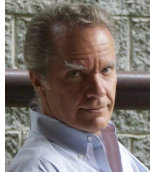
K. Leach
(BeEST)



J. Qin
(XENON)



H. Haffner



T. LeBrun



D. Barker



T.-C. Lee

B. Knepper

D. Moore
(EXO)

P. Shawhan
(LIGO)

R. Lang
(XENON)

K. Leach
(BeEST)

J. Qin
(XENON)

hep/gr

quant



J. Taylor



J. Beckey



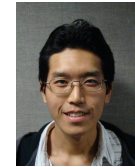
G. Semenoff



G. Krnjaic



A. Hook



Y. Zhao



G. Marocco



th



S. Ghosh



P. Stamp



V. Domcke



N. Rodd



Z. Liu

Outlook

- Quantum mechanics imposes fundamental sources of noise.
- Quantum noise will continue to be important in variety of contexts, high energy and otherwise, **HOWEVER**
- **These noise sources can often be engineered away.**
- How far can we go? Are there more fundamental limits from quantum field theory, gravity, ...?