

# A study of the measurement of the tau-lepton anomalous magnetic moment in high energy lead-lead collisions at LHC

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UNIVERSITÀ DI PISA

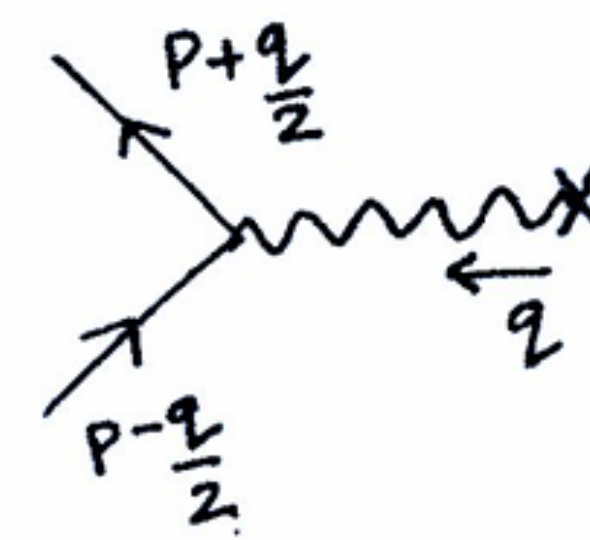


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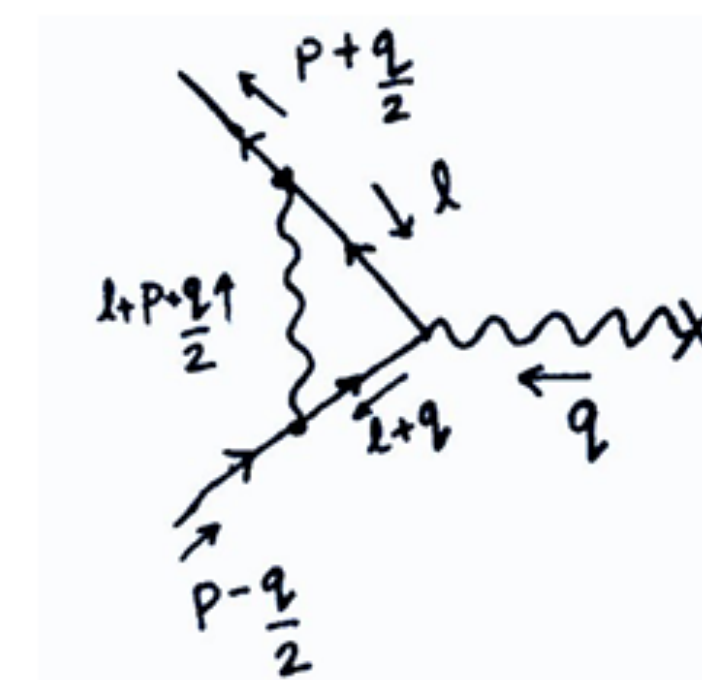


# Outline

- Anomalous Magnetic Moment of the Tau Lepton
- Tau production at LHC with Pb-Pb collisions (nucleon-nucleon energy  $\sqrt{s_{NN}} = 5.52\text{TeV}$ )
- Analysis Strategy and results [Phys. Rev. D 110, 052001 \(2024\)](#)
  - Generation of **standard model contribution + BSM and interference contributions** ( **different values of  $a_{\tau}$**  )
  - Study of the sensitivity to  $a_{\tau}$  using a multivariate approach and compare it with the ATLAS selection cuts analysis.
  - **Comparison with LHC results of Run-2 data**
    - Expect SM process to be low-mass, observation of  $\gamma\gamma \rightarrow \tau\tau$  already performed in Heavy Ion (HI) collisions by both **ATLAS [PRL 131 (2023) 151802]** and **CMS [PRL 131 (2023) 151803]**



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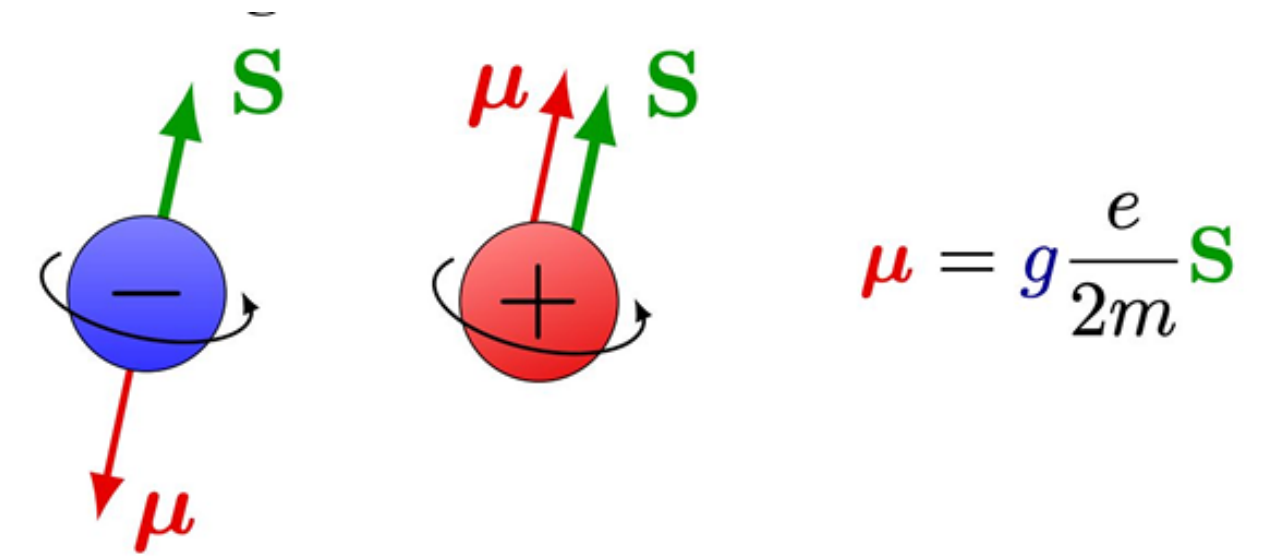


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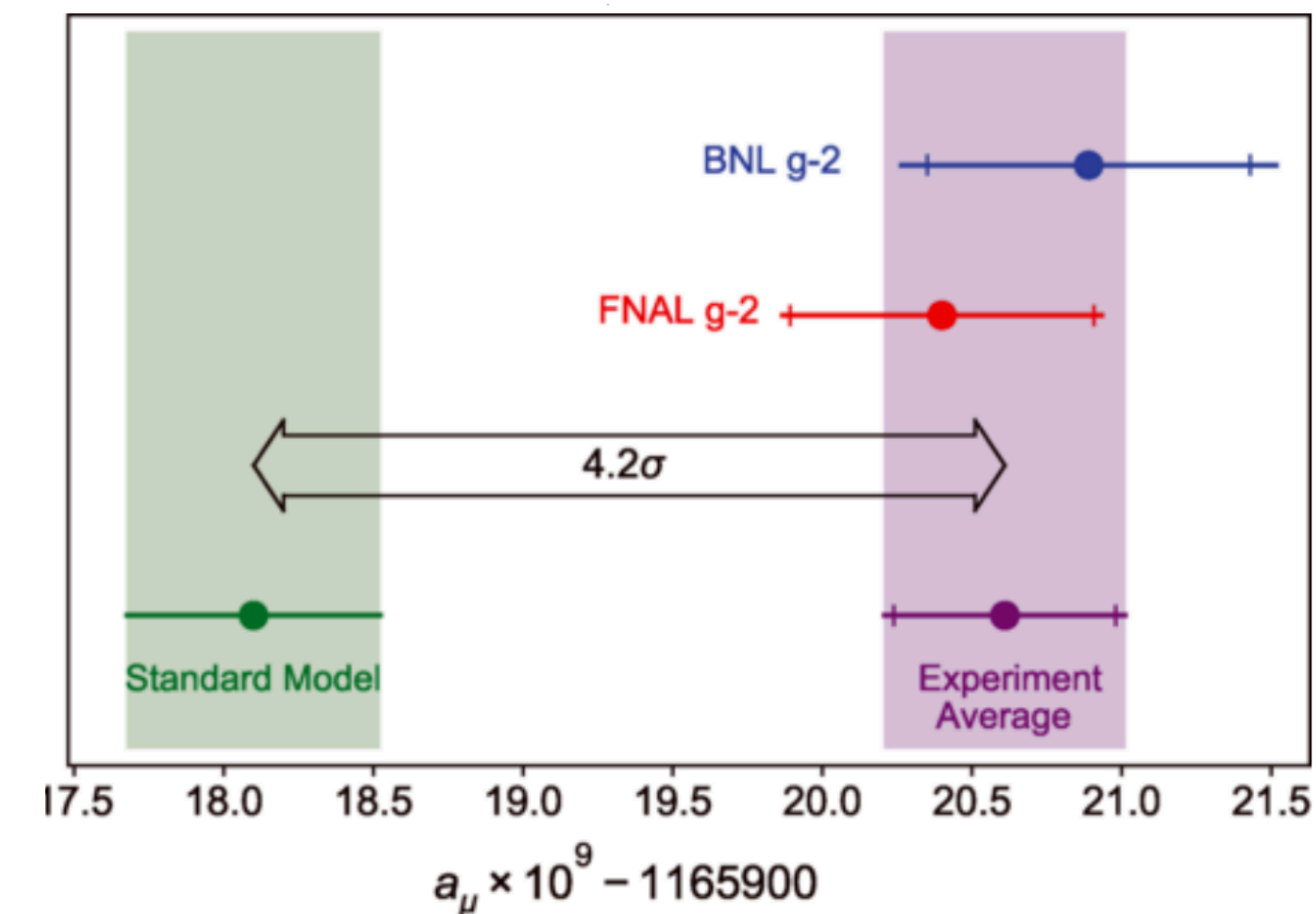
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# Magnetic Moment of Tau Lepton

- Lepton spin,  $\mathbf{S}$ , and magnetic moment,  $\boldsymbol{\mu}$ , linked through gyromagnetic factor,  $g$ 
  - Dirac equation predicts  $g = 2$
  - Quantum corrections give rise to anomalous magnetic moments:
    - $a_l = (g - 2)/2$
- Electron and muon  $g-2$  are some of the most precisely measured quantities in physics
  - Interesting tension between experiment and theory in muon  $g-2$
- Tau  $g-2$  evades precise measurement due to short tau lifetime
- Standard Model prediction** (Mod. Phys. Lett. A 22 (2007) 159):
 
$$a_\tau = 0.00117721 \pm 0.00000005$$
- Best experimental limits** on  $a_\tau$  set by **DELPHI at LEP** (EPJ C 35 (2004) 159):
 
$$-0.052 < a_\tau < 0.013 \text{ (95\% CL)}$$

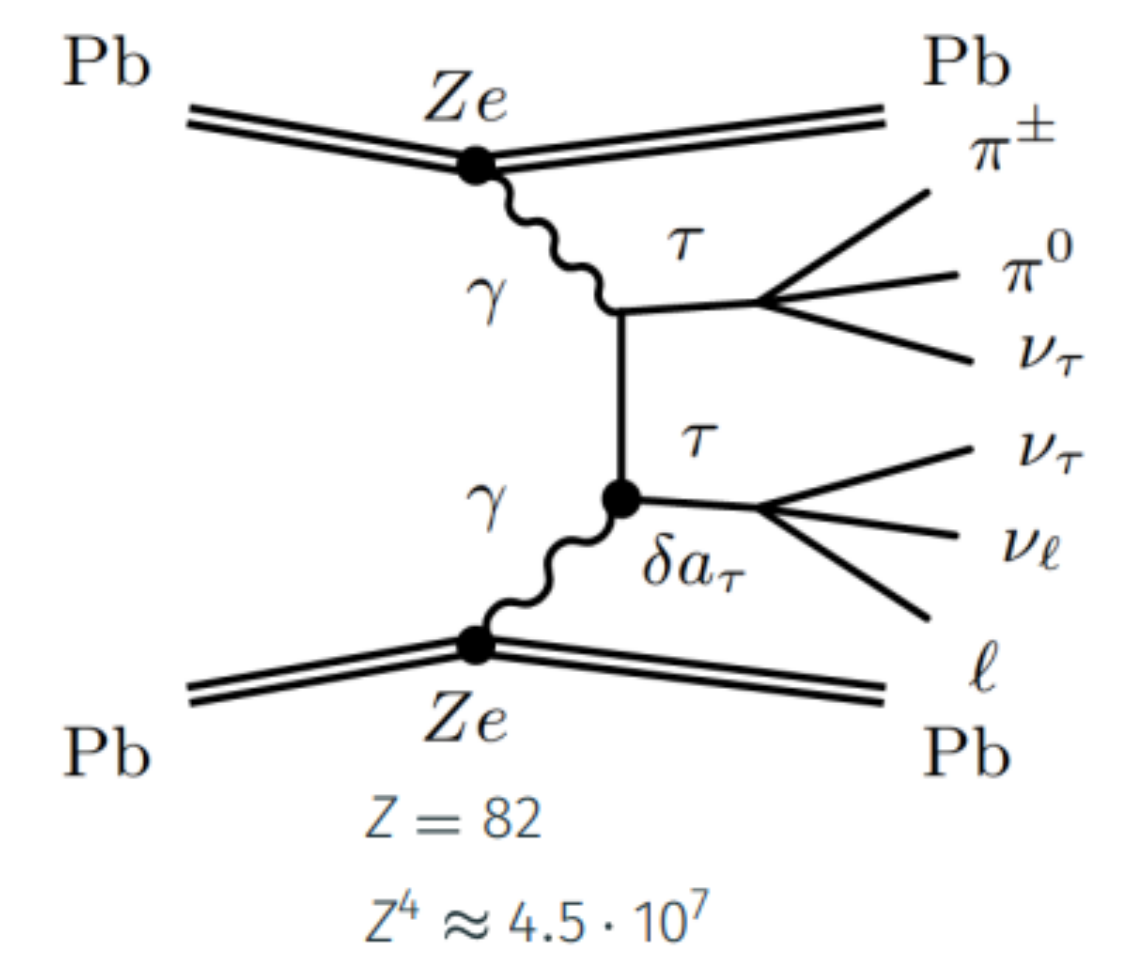
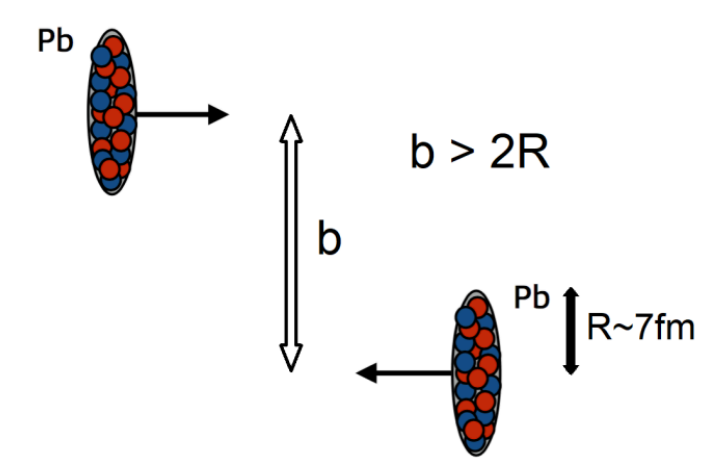
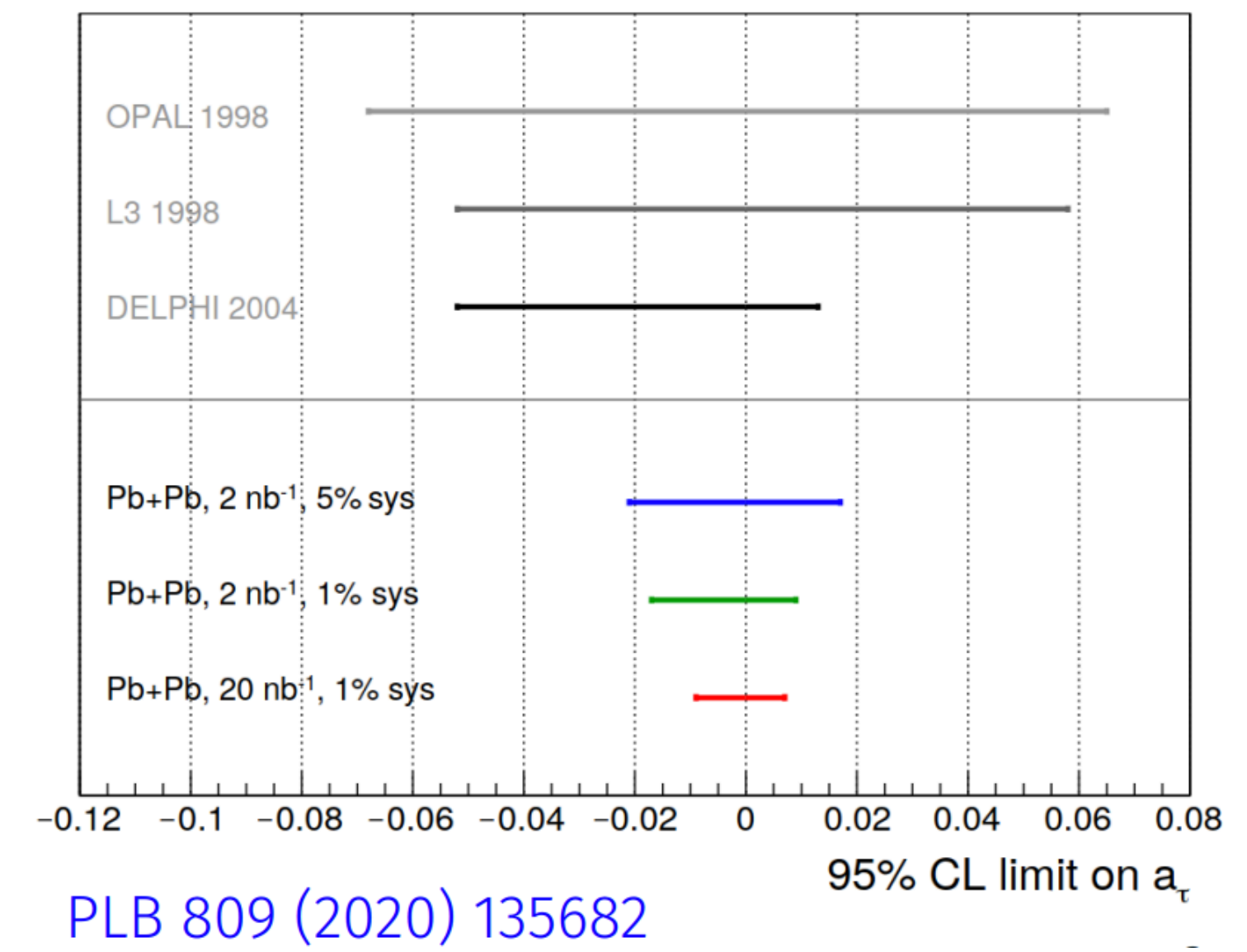


PhysRevLett.126.141801



# Motivation for $a_{\tau}$ measurement

- Relevant for **precision measurement** of QED, electroweak, and QCD
- Many BSM models predict modifications of  $a_{\tau}$ :
  - lepton compositeness where corrections are of  $O(m_{\text{lepton}}/m_{\text{constituent}})$
  - SUSY models  $O(\delta a_{\tau} \sim m_{\tau}^2/M_S^2)$ 
    - $a_{\tau}$  can be  $m_{\tau}^2/m_{\mu}^2 \approx 280$  times more sensitive to BSM than  $a_{\mu}$
- Why Ultrapерipheral Pb+Pb collisions at LHC?
  - $Z^4$  cross-section enhancement balancing out lower luminosity
  - essentially no pile-up from hadronic interactions  $\rightarrow$  exclusivity selections
  - low trigger and reco object thresholds





# Constraining $a_{\tau}$ with LHC

- Analysis idea from:
  - L. Beresford, J. Liu, PRD 102 (2020) 113008
  - M. Dyndal, M. Schott, M. Klusek-Gawenda, A. Szczurek, PLB 809 (2020) 135682
- Constraints on  $a_{\tau}$  from total  $\gamma\gamma \rightarrow \tau\tau$  cross-section / yield and differential distributions (e.g. leading lepton  $p_T$ )
  - Main Background
    - $\gamma\gamma \rightarrow ll$
    - $\gamma\gamma \rightarrow qq$
    - photo-nuclear events

## Work presented today

- Defined a **dedicated Theory model**
  - Generation, simulation and reconstruction of signal and background samples
- Signal and Control region definition common to other LHC analyses with heavy ions
- Analysis Strategies:
  - **Cut and Count approach** by using the same cuts of ATLAS public Run2 data analysis (**SC**)
  - **Multivariate Boost Decision Trees (BDTG) approach (BDTG)**
  - Comparison of the two results and the ATLAS public results

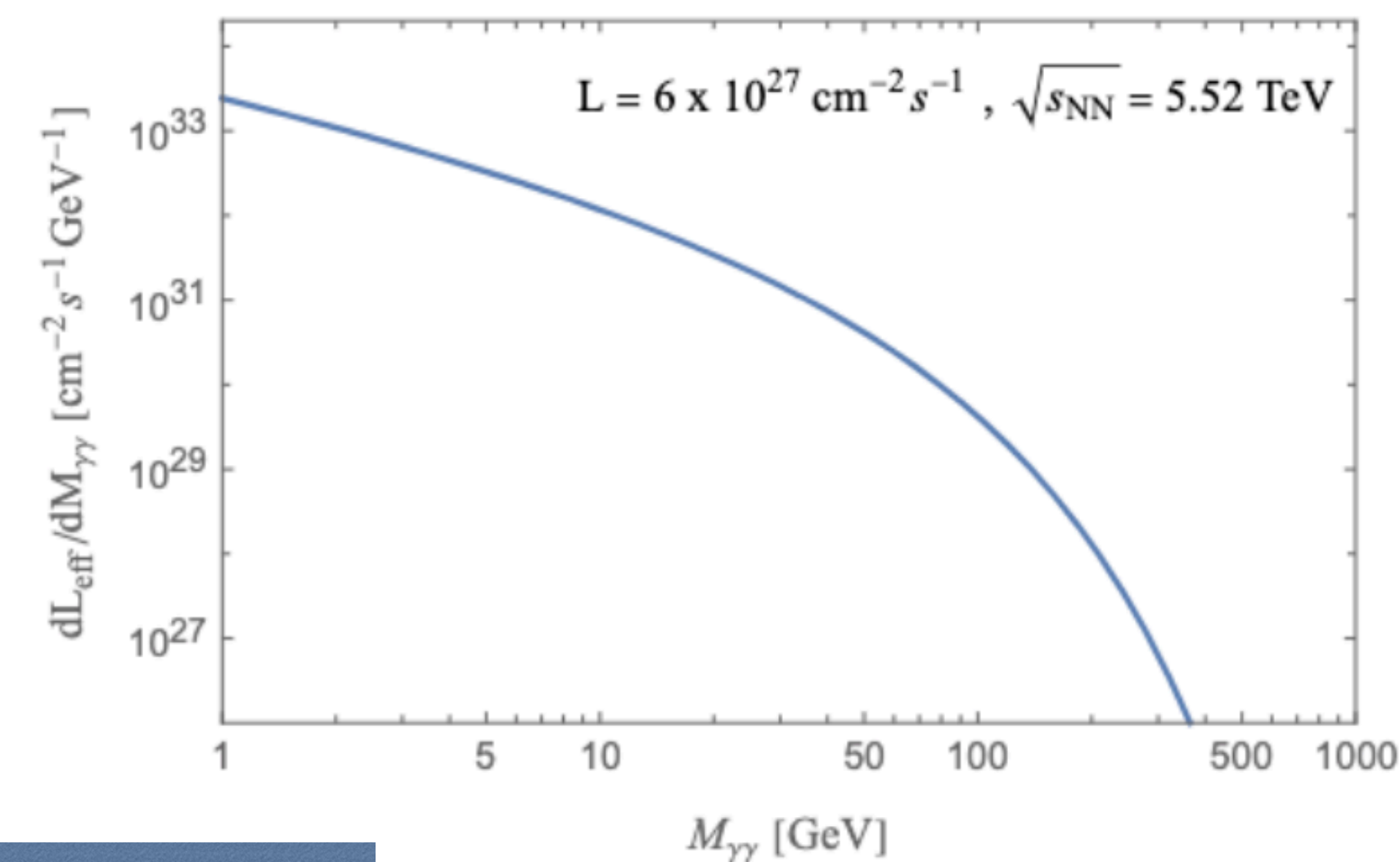


# The Theory Model

- Tau-pair signal production is generated with an effective description in a UFO model (Universal FeynRules Output)
- Madgraph UFO model validated against theoretical analytical predictions (Landini and Jinwei Wang)
- Photon flux with EPA (equivalent photon approximation)
  - validated it against the results for the photon-photon luminosity quoted in 0909.3047 and the SM results in 1908.05180

$$\mathcal{L}^{NP} = \frac{1}{2} \bar{\tau}_L \sigma^{\mu\nu} \left( a_\tau \frac{e}{2m_\tau} - i d_\tau \gamma_5 \right) \tau_R F_{\mu\nu}$$

$$\sigma^{(Pb-Pb)}(\gamma\gamma \rightarrow \tau^+\tau^-) = \int dx_1 dx_2 N(x_1) N(x_2) \hat{\sigma}(\gamma\gamma \rightarrow \tau^+\tau^-)$$



## Comparison with other models

- L. Beresford, J. Liu, PRD 102 (2020) 113008
  - Same implementation of photon flux with Madgraph but different UFO model (SMEFT)
  - A factor 2 of difference (same factor found by Dyndal et al.)

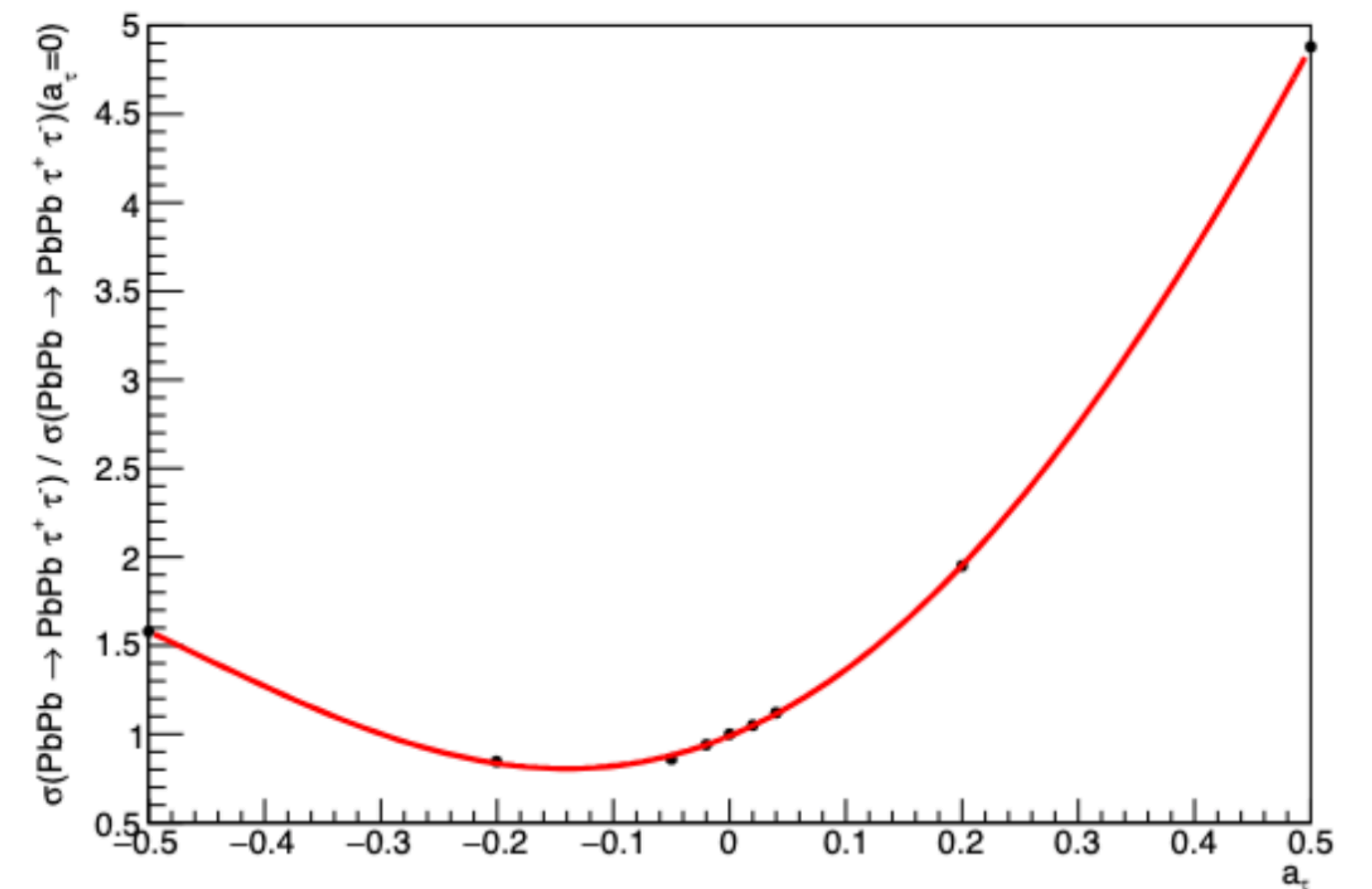
- M. Dyndal, et al. PLB 809 (2020) 135682
  - Different photo flux and BSM implementation
  - Agreement within 10%



# MonteCarlo Studies

- Generation of standard model contribution + BSM and interference contributions ( **different values of  $a_{\tau}$**  ) by using **MadGraph only (v3.3)**. The BSM contribution is added by using UFO Model. The  $\tau$  decays, the hadronization and the shower processes are described with PYTHIA8
- Two Million of events per each sample
  - A generation preselection applied at leptons
    - $|\eta^{e/\mu}| < 2.5$
    - $p_T^{lepton} > 1 \text{ GeV}$
- **The Photon flux used includes photon from lead**

Sample	Cross Section (pb)	events@2nb <sup>-1</sup>
SM ( $a_{\tau} = 0$ )	$5.49 \times 10^8 \pm 1.7 \times 10^5$	1111111
SM+BSM ( $a_{\tau} = +0.02$ )	$5.79 \times 10^8 \pm 1.9 \times 10^5$	1176470
SM+BSM ( $a_{\tau} = -0.02$ )	$5.22 \times 10^8 \pm 1.8 \times 10^5$	1052631
SM+BSM ( $a_{\tau} = -0.01$ )	$5.35 \times 10^8 \pm 1.7 \times 10^5$	1081081
SM+BSM ( $a_{\tau} = +0.01$ )	$5.64 \times 10^8 \pm 1.8 \times 10^5$	1142857
SM+BSM ( $a_{\tau} = -0.04$ )	$4.99 \times 10^8 \pm 1.6 \times 10^5$	998000
SM+BSM ( $a_{\tau} = +0.04$ )	$6.12 \times 10^8 \pm 1.9 \times 10^5$	1212121
$\gamma\gamma \rightarrow e^-e^+$	$4.258 \times 10^8 \pm 1.8 \times 10^8$	869565
$\gamma\gamma \rightarrow \mu^-\mu^+$	$4.258 \times 10^8 \pm 1.8 \times 10^8$	869565
$\gamma\gamma \rightarrow bb$	$1.629 \times 10^6 \pm 2,3 \times 10^2$	3257
$\gamma\gamma \rightarrow cc$	$3.276 \times 10^6 \pm 1.3 \times 10^5$	6557
$\gamma\gamma \rightarrow jet(c, d, u)jet(c, d, u)$	$3.686 \times 10^6 \pm 1.5 \times 10^5$	7380



Ratio between the total nuclear cross sections for PbPb- $\tau\tau$  production at the LHC energies as a function of  $a_{\tau}$  and the cross section SM ( $a_{\tau} = 0$ ). At generation level a cut on lepton  $p_T > 1 \text{ GeV}$  is applied.

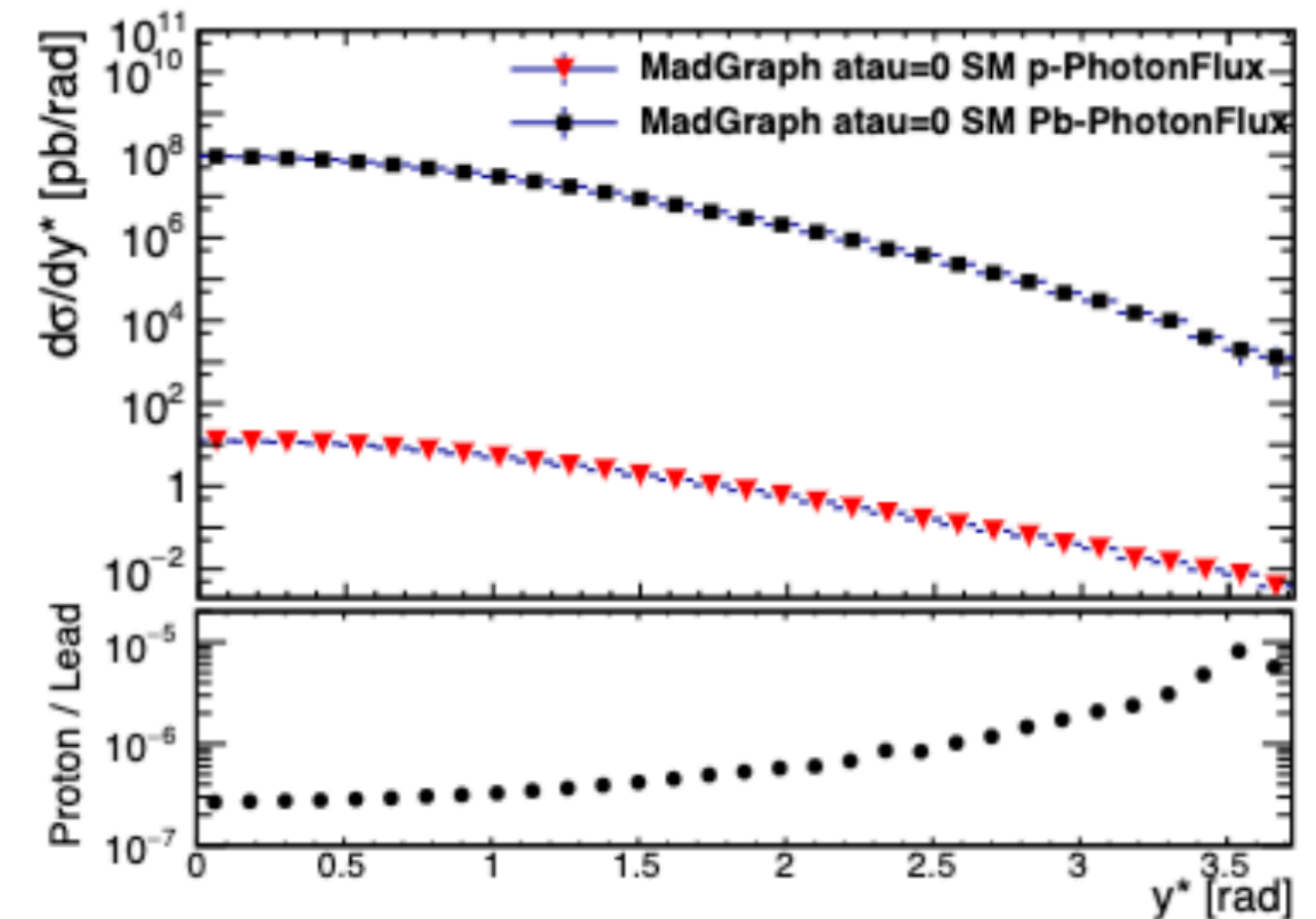
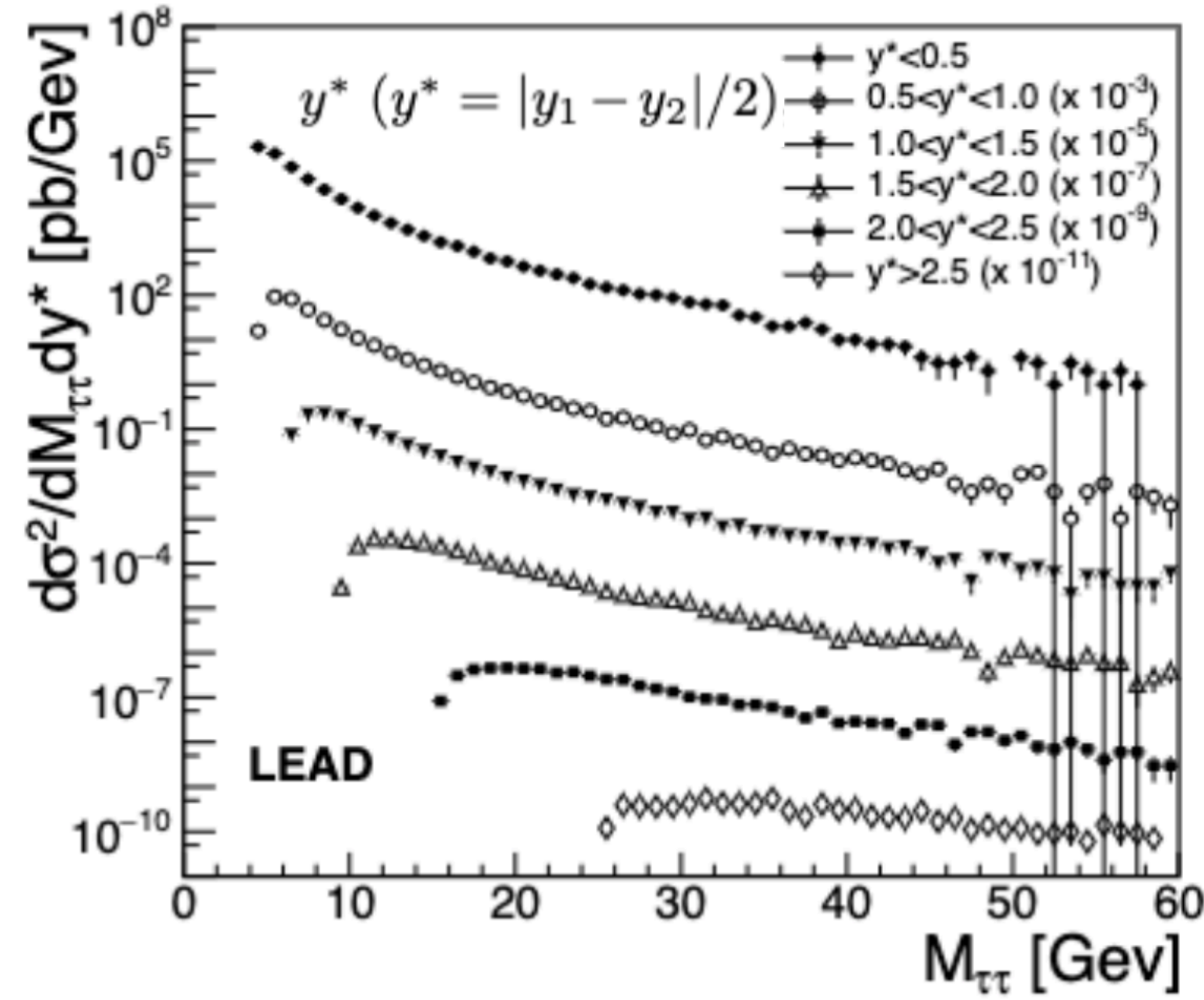
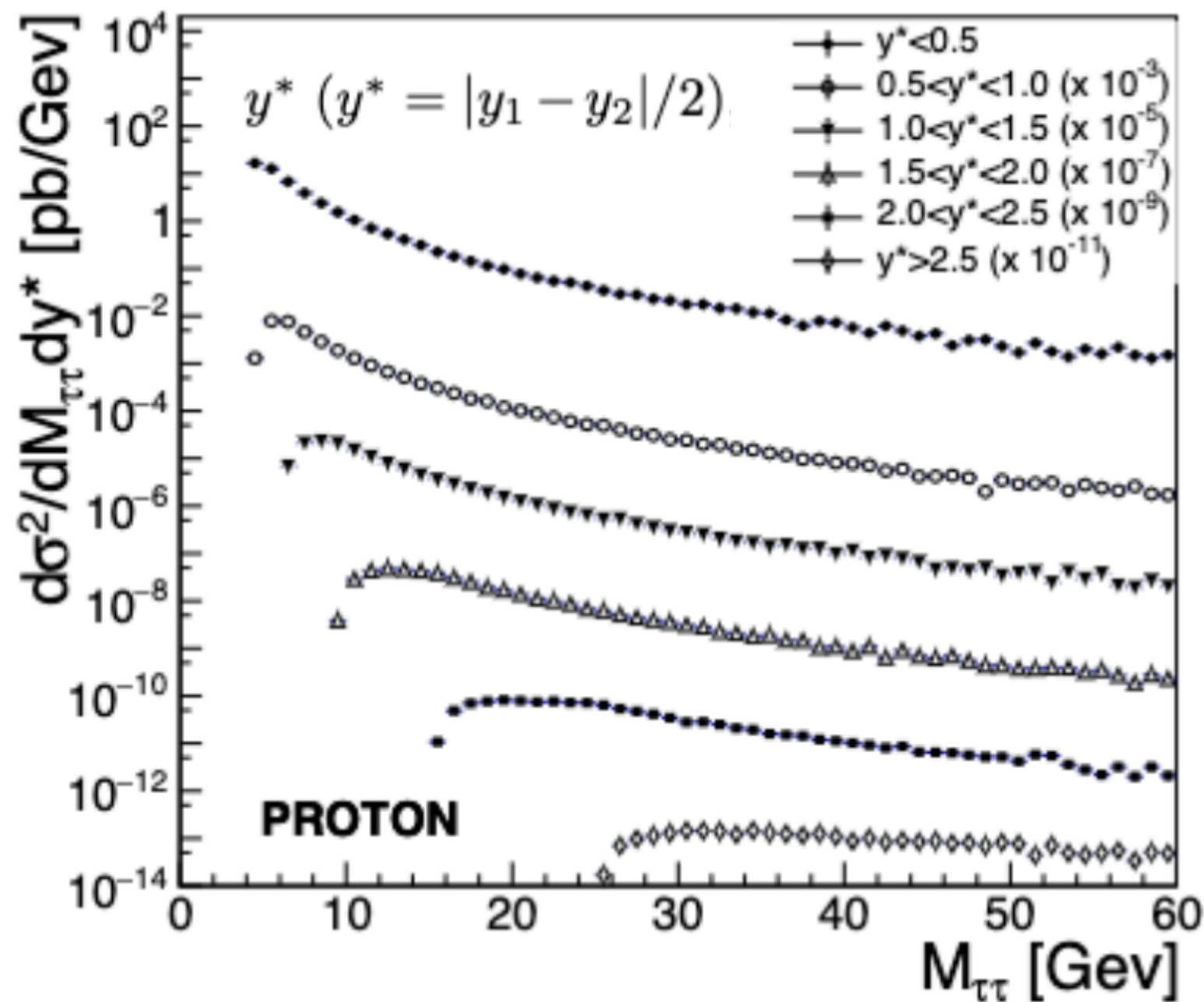


# Photon Flux

- We studied the **differential cross section wrt  $P_T$  and rapidity/theta** of the two taus to disentangle the two PDF. This is how MadGraph treats the Photon Flux:

$$\sigma_{\gamma\gamma \rightarrow XX}^{(\text{PbPb})} = \int dx_1 dx_2 n(x_1)n(x_2) \sigma_{\gamma\gamma \rightarrow XX}$$

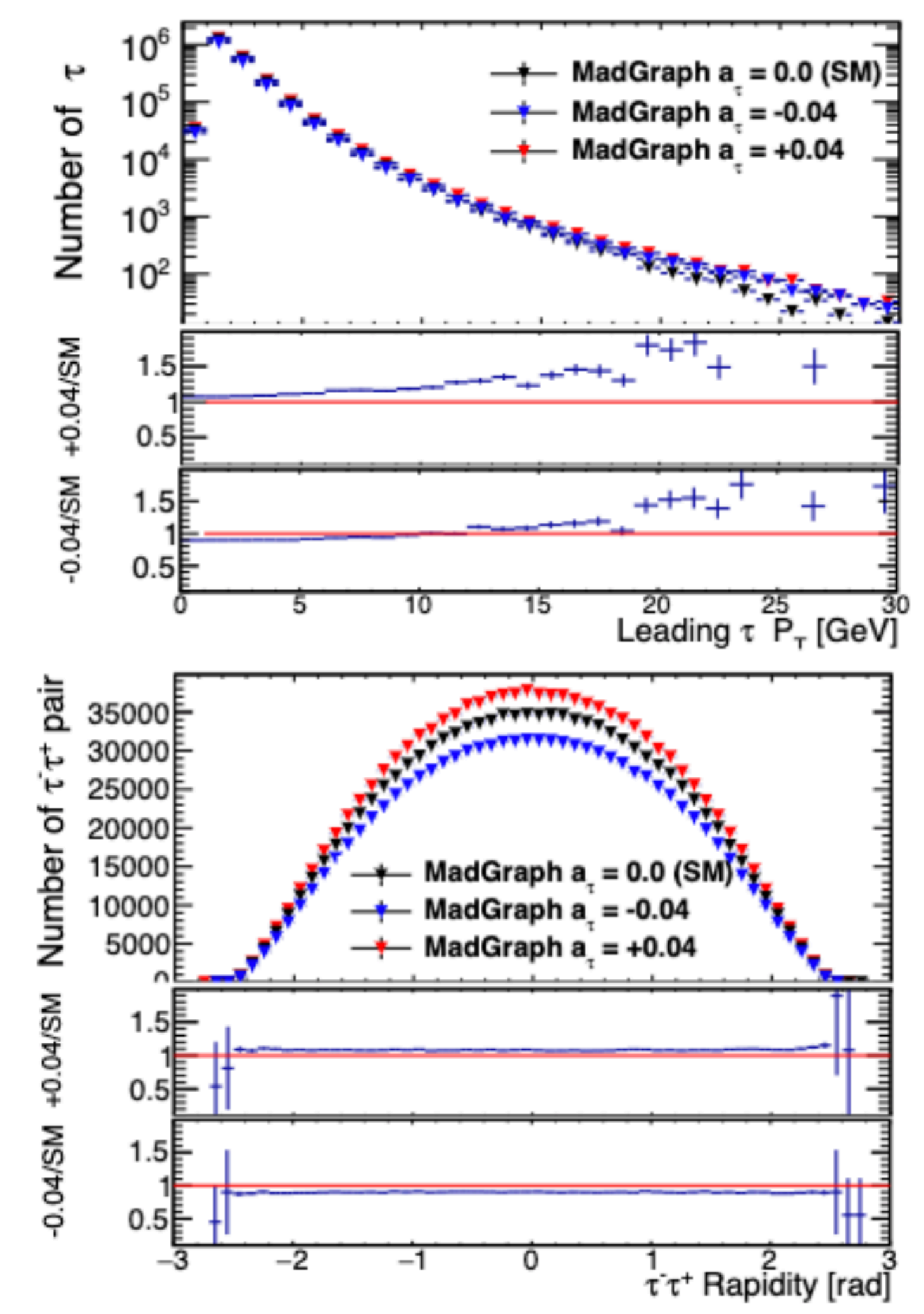
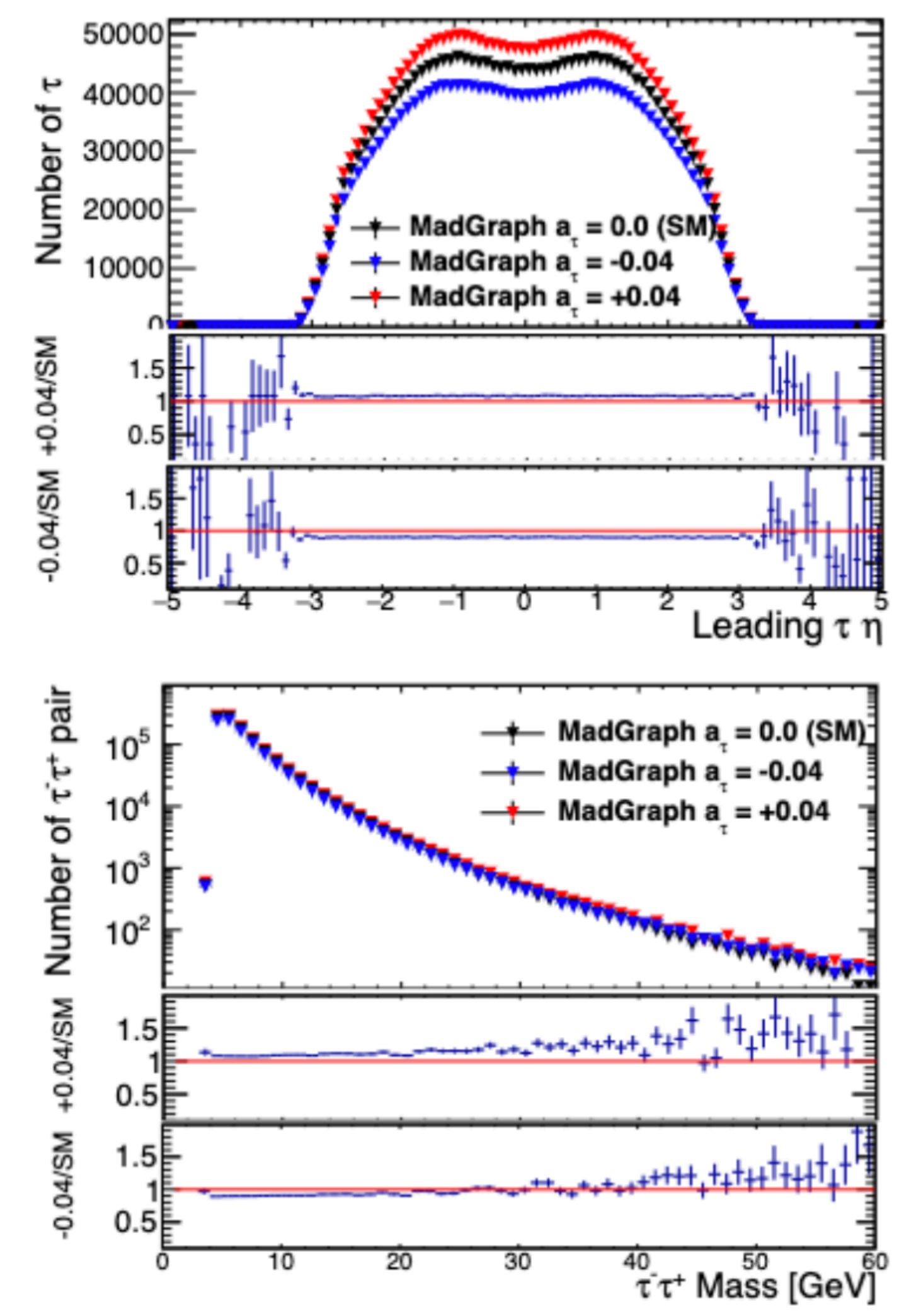
- We compare the shapes (normalising the distribution to same area) and then we estimate the cross section depending of  $Y^*$  and  $M(\text{tau tau})$





# $a_{\tau}$ studies at generator level

- The effect of  $a_{\tau}$  is investigated by looking at some tau and di-tau kinematical variables:
  - leading tau  $p_T$  and eta
  - di-tau invariant mass and rapidity of the di-tau system.
- Plots normalised to  $2.0 \text{ nb}^{-1}$
- Here illustrated the differences between  $+0.04$ ,  $-0.04$  and the SM value set to 0





# Detector Simulation: Delphes

- Reconstruction Objects identified by DELPHES
  - Tracks, Muon, Electron, MissingET  
(Missing ET used as default calculation (calo tower calculation))
- Preselection in Lepton and Track Identification applied to all the objects.
  - 1 Lepton selection:**
    - $p_T^{e/\mu} > 4.5/3 \text{ GeV}, |\eta^{e/\mu}| < 2.5/2.4$
  - Tracks selection:**
    - $p_T^{track} > 0.5 \text{ GeV}, |\eta^{track}| < 2.5$
    - Track not matched Lepton object  
 $\Delta R(\text{lepton-track}) > 0.02$

Particle	$\eta$ and $p_T$ [GeV]	Efficiency [ $\epsilon$ ]
Electron	$ \eta  > 2.4$ and $p_T \leq 4.5$	0.00
	$ \eta  \leq 2.4$ and $4.5 > p_T < 30.0$	0.82
	$ \eta  \leq 2.4$ and $30.0 > p_T < 40.0$	0.86
	$ \eta  \leq 2.4$ and $40.0 > p_T \leq 60.0$	0.88
	$ \eta  \leq 2.4$ and $p_T > 60.0$	0.92
Muon	$p_T \leq 3.5 \text{ GeV}$	0.00
	$ \eta  \leq 2.5$ and $3.5 > p_T < 4.0$	0.65
	$ \eta  \leq 2.5$ and $4.0 > p_T < 5.0$	0.80
	$ \eta  \leq 2.5$ and $p_T > 5.0$	0.95

Preselection	Cuts
Electron Identification	$p_T > 4.5 \text{ GeV},  \eta  < 2.4$
Muon Identification	$p_T > 3.5 \text{ GeV},  \eta  < 2.5$
Track Identification	$p_T^{(track)} > 500 \text{ MeV},  \eta^{(track)}  >   < 2.5$



# Tau Decays Topologies

❖ Each tau can decay in hadrons or in leptons with different branching ratios (BRs).

## ❖ 1 Lepton

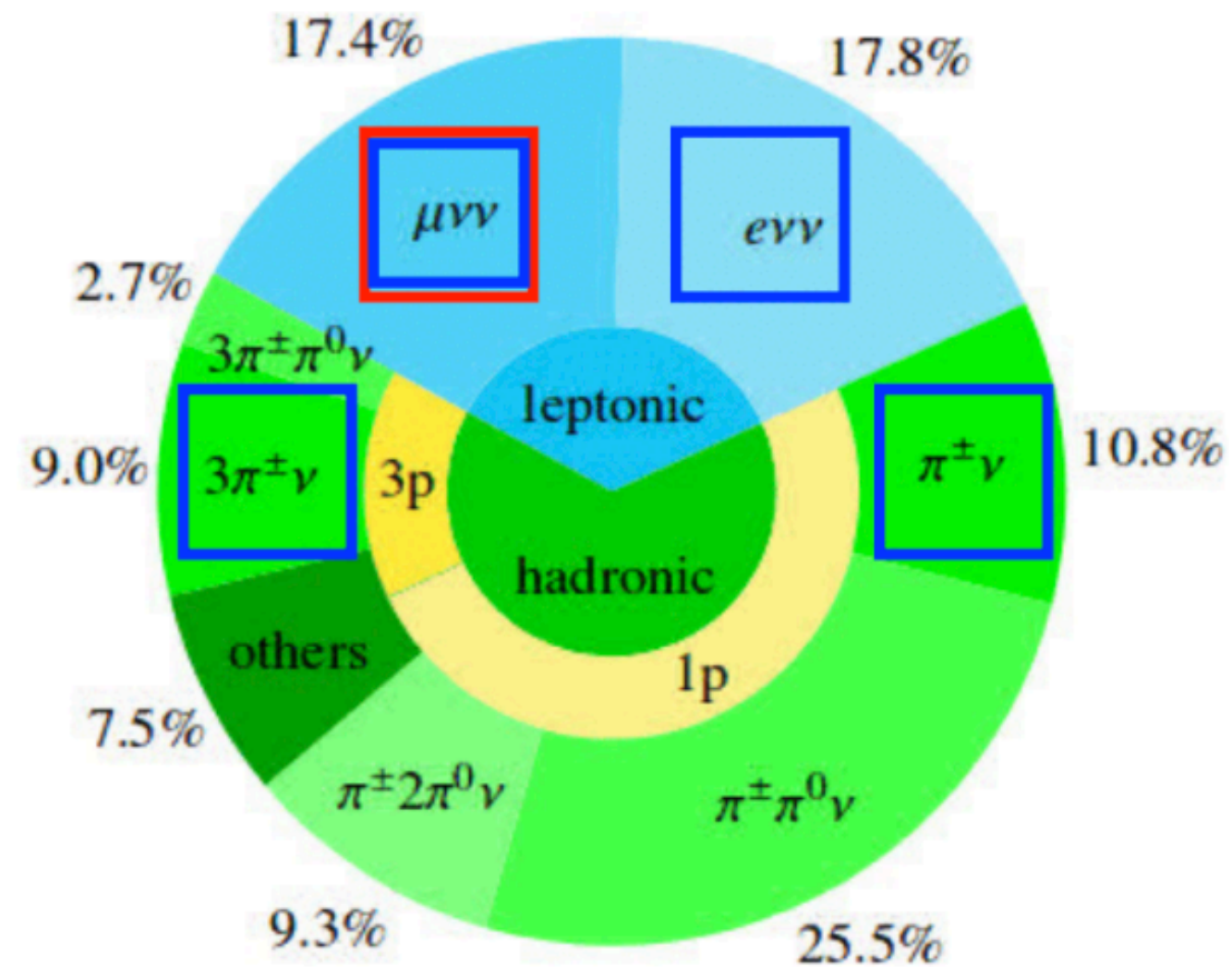
- ❖  $\tau^\pm \rightarrow \nu_\tau + l^\pm + \nu_l$  ( $l = e, \mu$ )
- ❖ BR = 35%

## ❖ 1 Charged Pion

- ❖  $\tau^\pm \rightarrow \nu_\tau + \pi^\pm + n\pi^0$
- ❖ BR = 45.6%

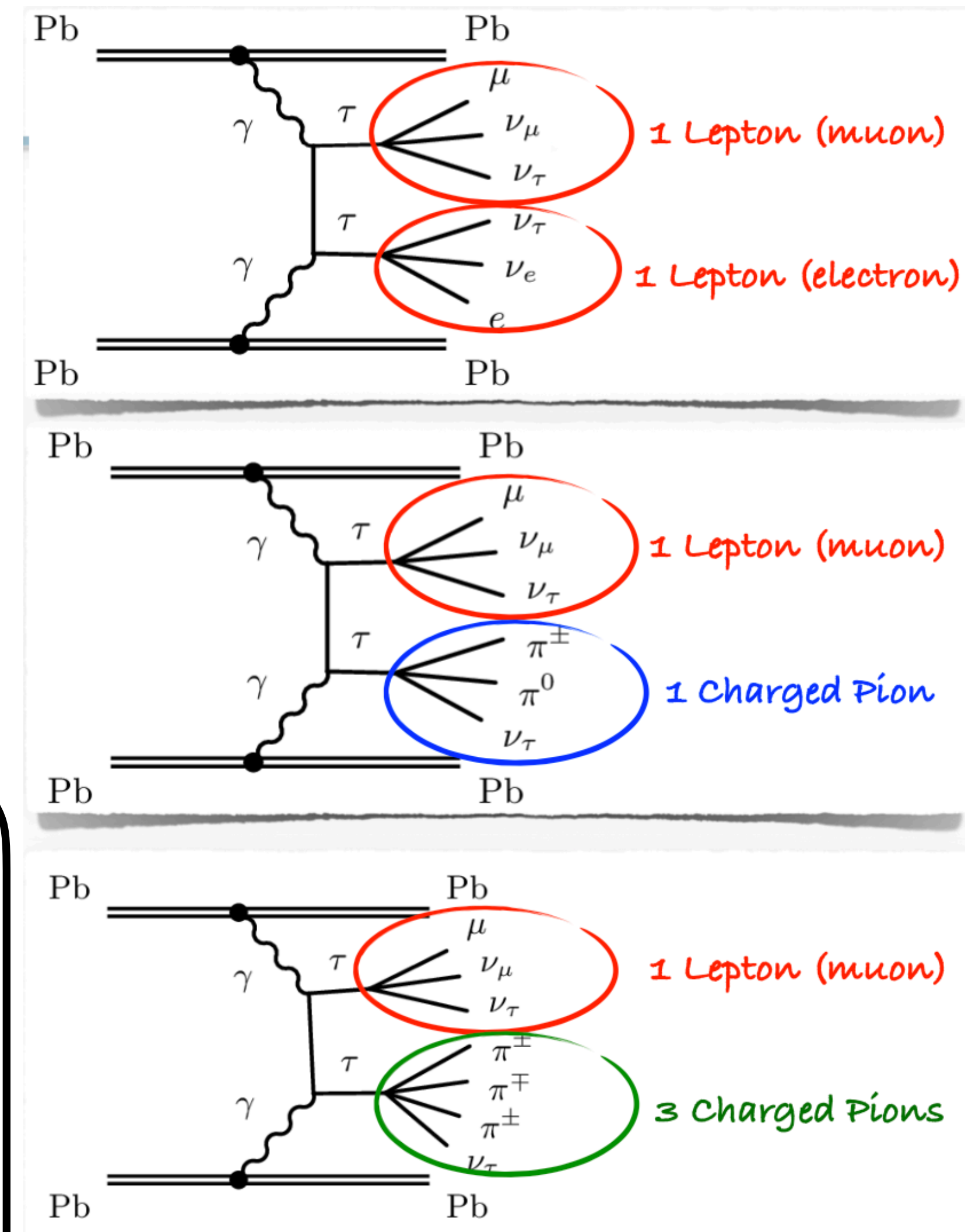
## ❖ 3 Charged Pions

- ❖  $\tau^\pm \rightarrow \nu_\tau + \pi^\pm + \pi^\mp + \pi^\pm + n\pi^0$
- ❖ BR = 19.4%



## • Categorise di-taus in two SR:

- **1L1T (1Lepton+1Pion)**
- **1L3T (1Lepton+3Pions)**
- **Control region 2MCR:** Events with 2 muons with invariant mass above 11 GeV to suppress quarkonia states and no additional tracks

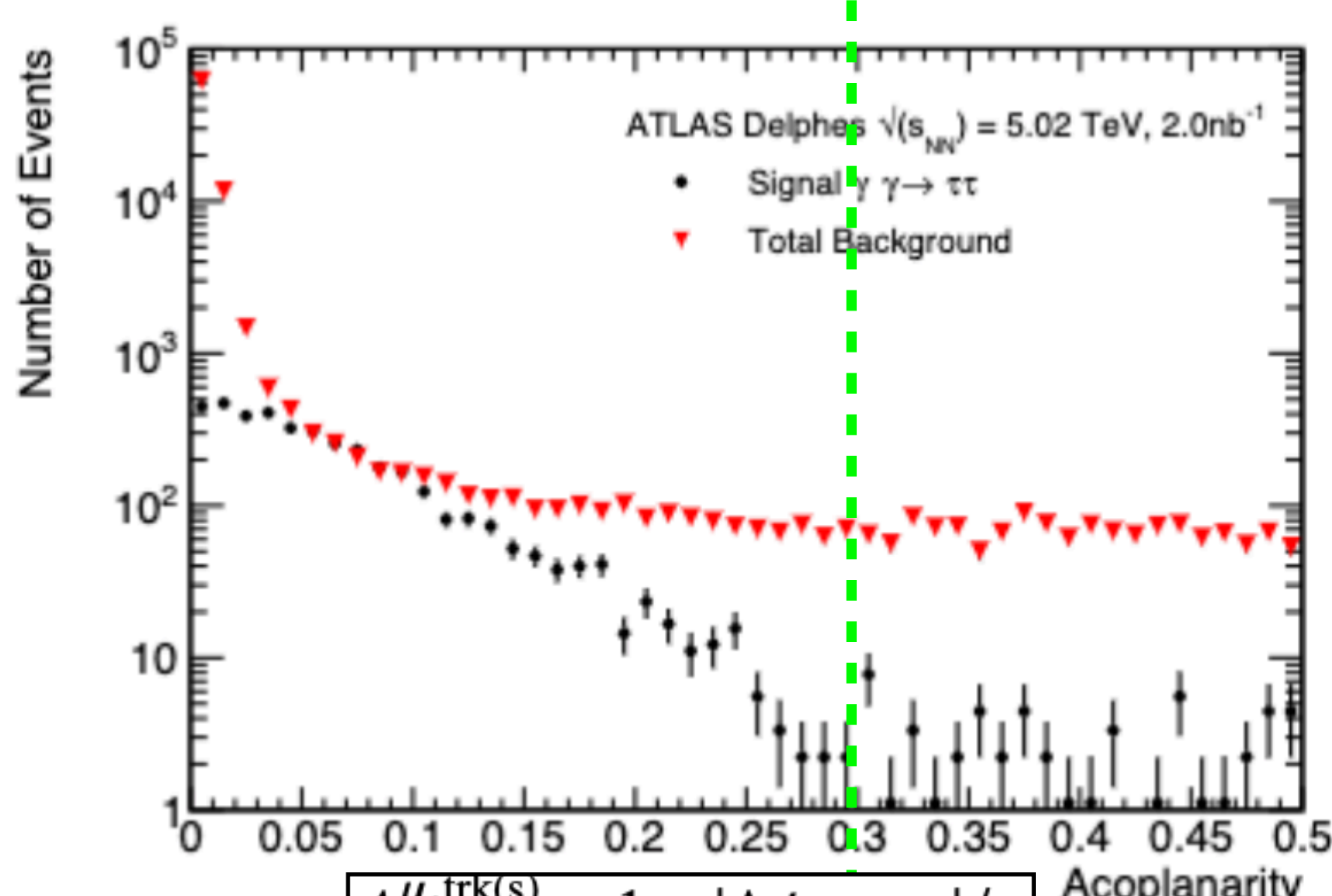
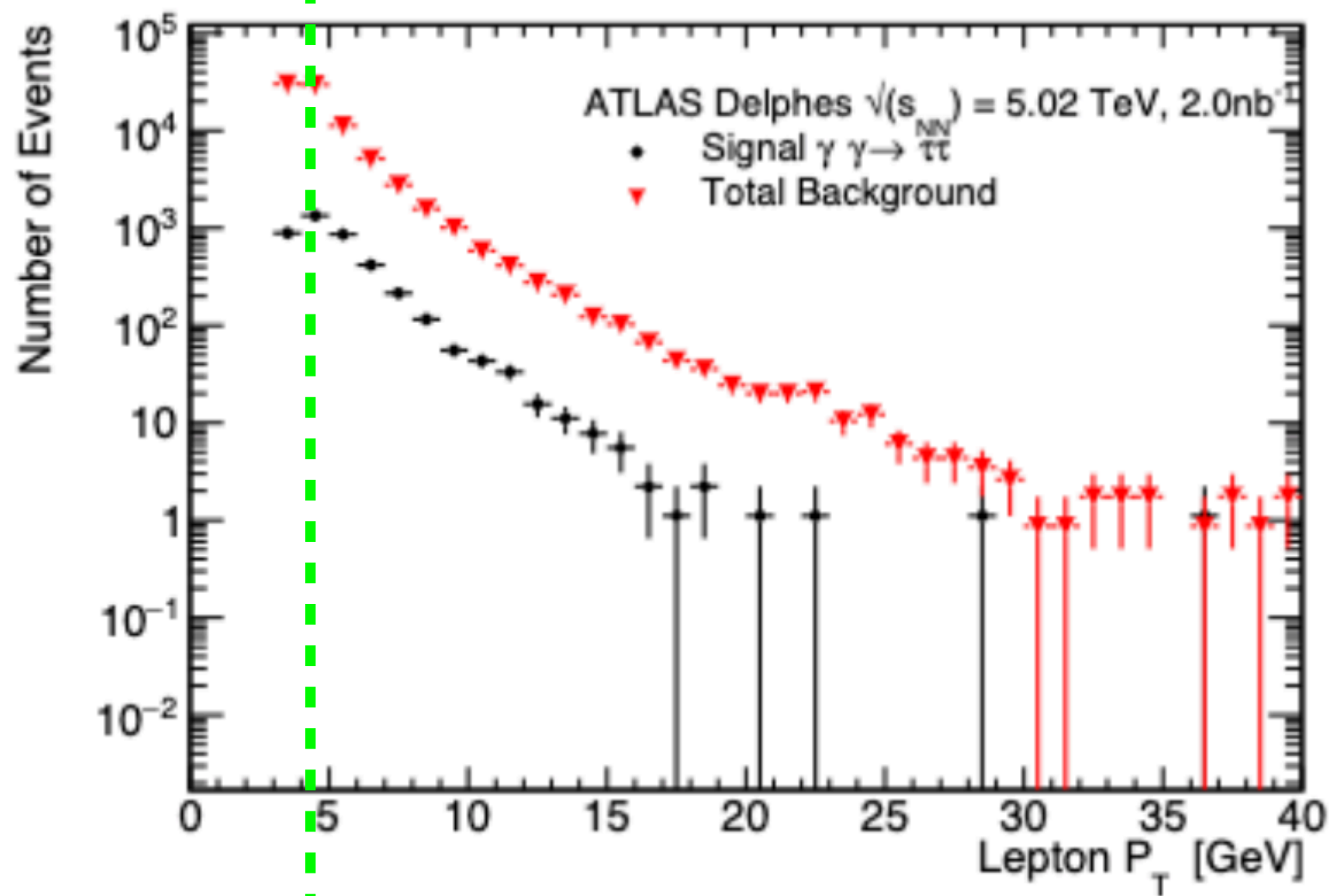




# 1 Lepton + One Track: SC

- **After the Preselection (1 Lepton and 1 Track)**
  - Total **Charge of track+ lepton equal to zero**
  - **Acoplanarity < 0.4**: used in data analysis, reduce background from  $\gamma\gamma \rightarrow \mu\mu$  and  $\gamma\gamma \rightarrow ee$
  - **Muon  $p_T > 4$  GeV**: all the lepton with the same efficiency

Signal Region 1 Lepton and 1 Track (SR1L1T)
1 Lepton
1 Track
Charge <sub>1L1T</sub> = 0
acoplanarity < 0.4
$p_T^{Muon} > 4\text{GeV}$



$$A_{\phi}^{\mu, \text{trk(s)}} \equiv 1 - |\Delta\phi_{\mu, \text{trk(s)}}|/\pi$$

SC Strategy

- 1) Standard Cuts SC (same cuts applied in ATLAS) but on Delphes samples



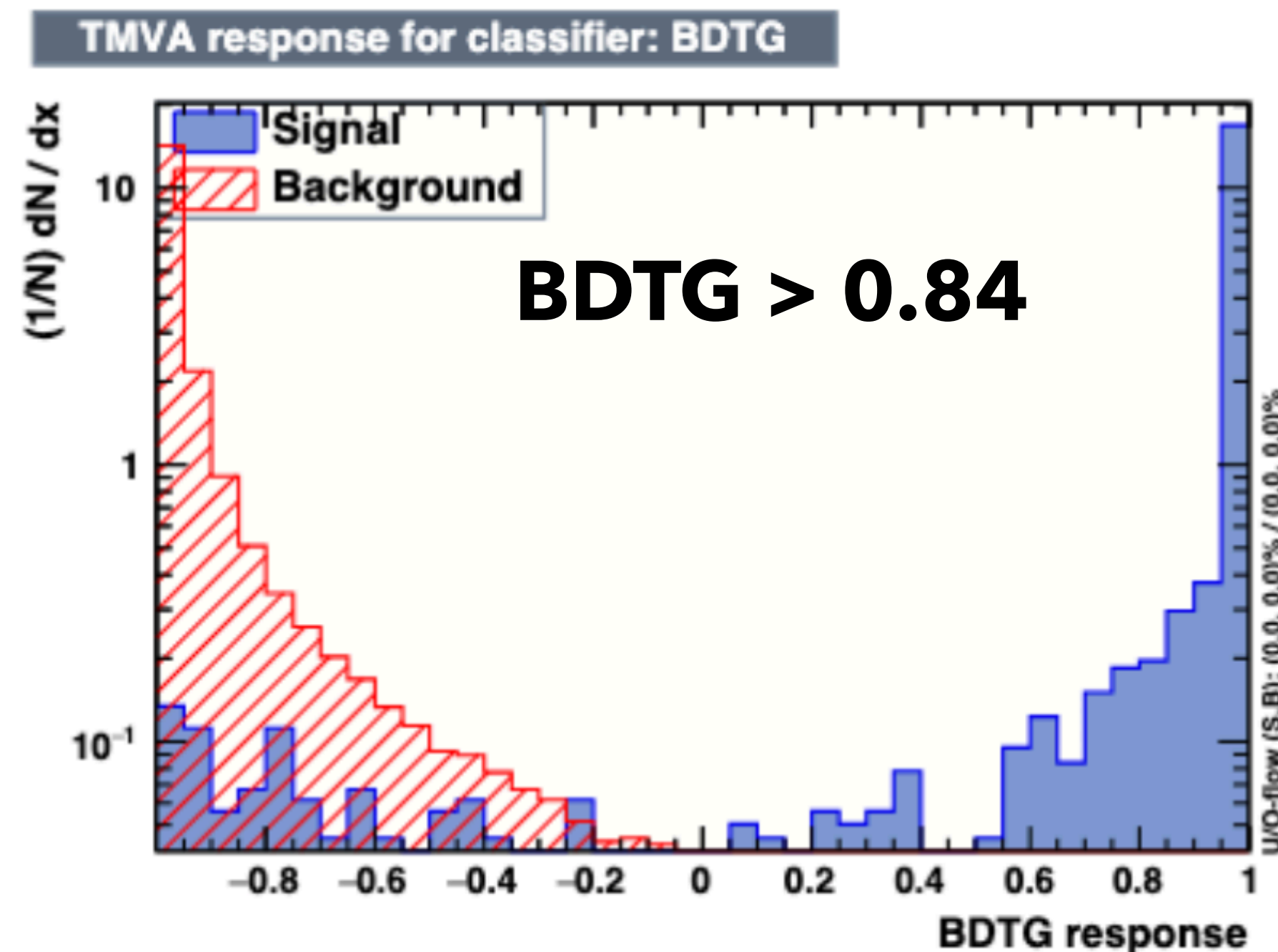
# 1 Lepton + One Track: BDTG

BDTG Strategy

- 1) Multivariate analysis with BDTG on Delphes samples

- **After the Preselection (requiring 1 Lepton and 1 Track) we apply a BDTG analysis using the following observable**

SR 1 Lepton and 1 Track SR1L1T
$\phi - \text{Missing}E_T$
Track $\eta$
Lepton $\phi$
Lepton $\eta$
Missing $E_T$
Acoplanarity
Track $P_T$
Invariant Mass (Lepton+Track)
$\Delta R$ (Lepton-Track)
Lepton $P_T$
$\Delta\phi$ (Lepton-track)
$H_T (\sum_i  \vec{p}_T(i) )$



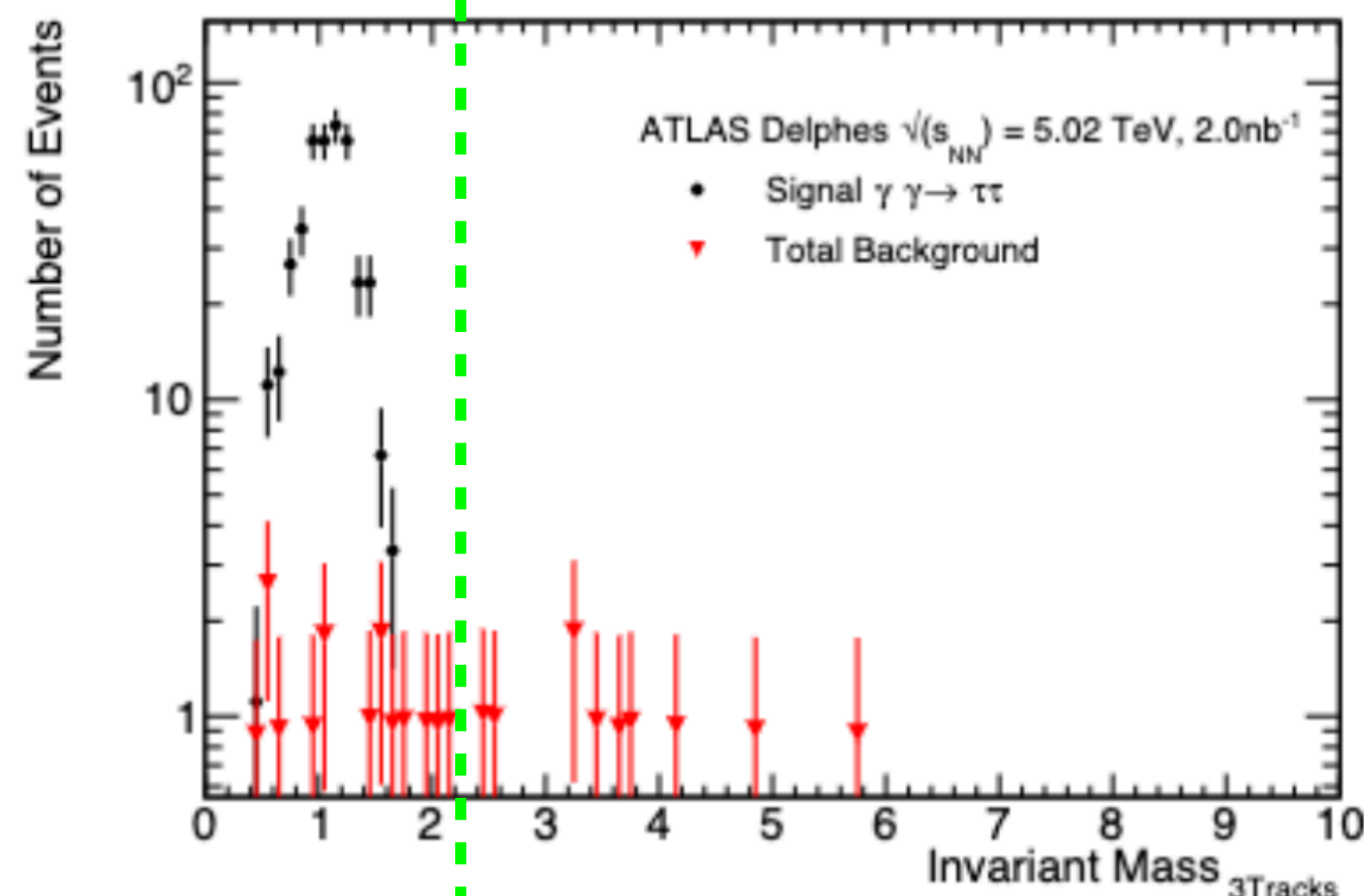
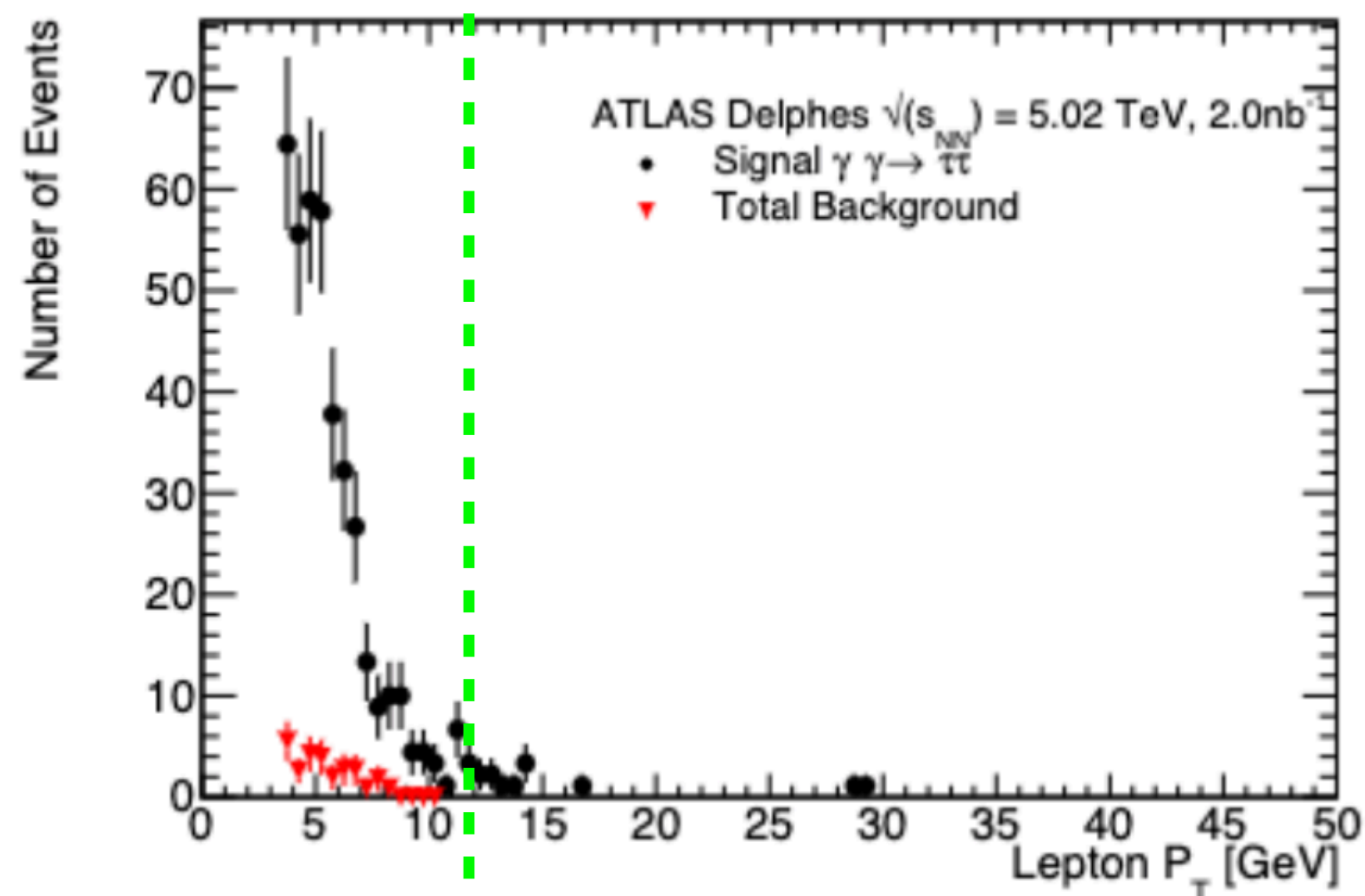
Best Significance $S/\sqrt{S+B}$	SR 1L1T
27	Cut and Count up to muon $p_T$
58	BDTG > 0.84



# 1 Lepton + Three Tracks: SC

- **After the Preselection (1 Lepton and 3 Tracks):**
  - **Total Charge of track+ lepton equal to zero**
  - **Mass (3Tracks):** cut included in other analysis
  - **Acoplanarity < 0.2:** used in data analysis, very similar to the  $\Delta\phi$  cut
  - **Muon  $p_T > 4$  GeV:** all the lepton with the same efficiency

Signal Region 1 Lepton and 3 Track (SR1L3T)
1 Lepton
3 Tracks
Charge <sub>1L3T</sub> = 0
Mass <sub>3T</sub> < 1.7 GeV
acoplanarity < 0.2
$p_T^{Muon} > 4$ GeV



## SC Strategy

- 1) Standard Cuts SC (same cuts applied in ATLAS) but on Delphes samples



# 1 Lepton + Three Tracks: BDTG

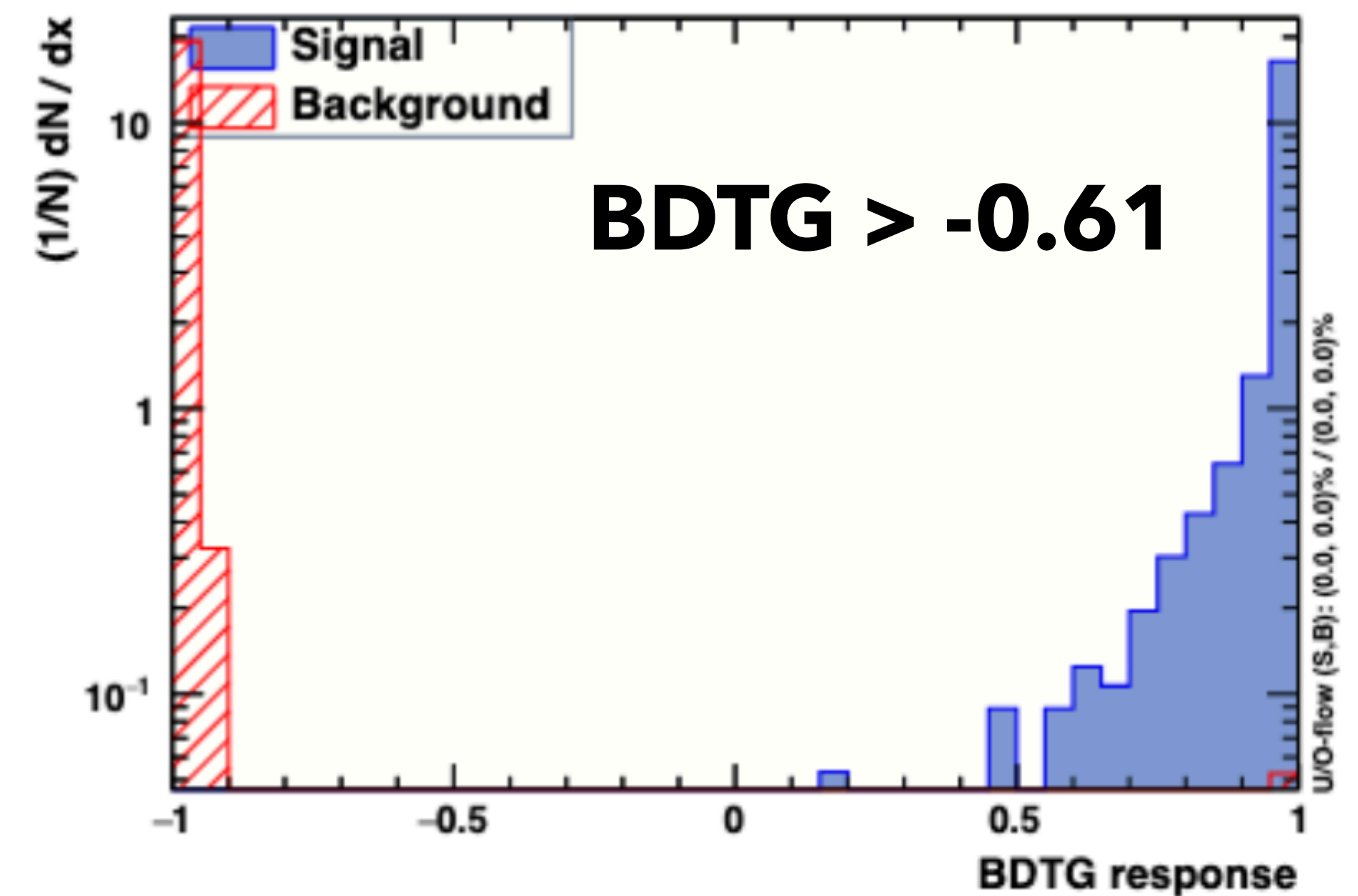
## BDTG Strategy

- 1) Multivariate analysis with BDTG on Delphes samples

- After the Preselection (requiring 1 Lepton and 3 Tracks) we apply a BDTG analysis using the following observable

SR 1 Lepton and 3 Tracks SR1L3T
Sum $p_T$ 3 tracks
Invariant Mass (Lepton+3Tracks)
Lepton $P_T$
Invariant Mass (3Tracks)
$\Delta R$ (Lepton-3tracks system)
$\Delta\phi$ (Lepton-3tracks system)
Missing $E_T$
$\Delta R$ (Lepton-Track)
Track $P_T$
$\Delta\phi$ (Lepton-track)
Acoplanarity
$H_T (\sum_i  \vec{p}_T(i) )$

TMVA response for classifier: BDTG



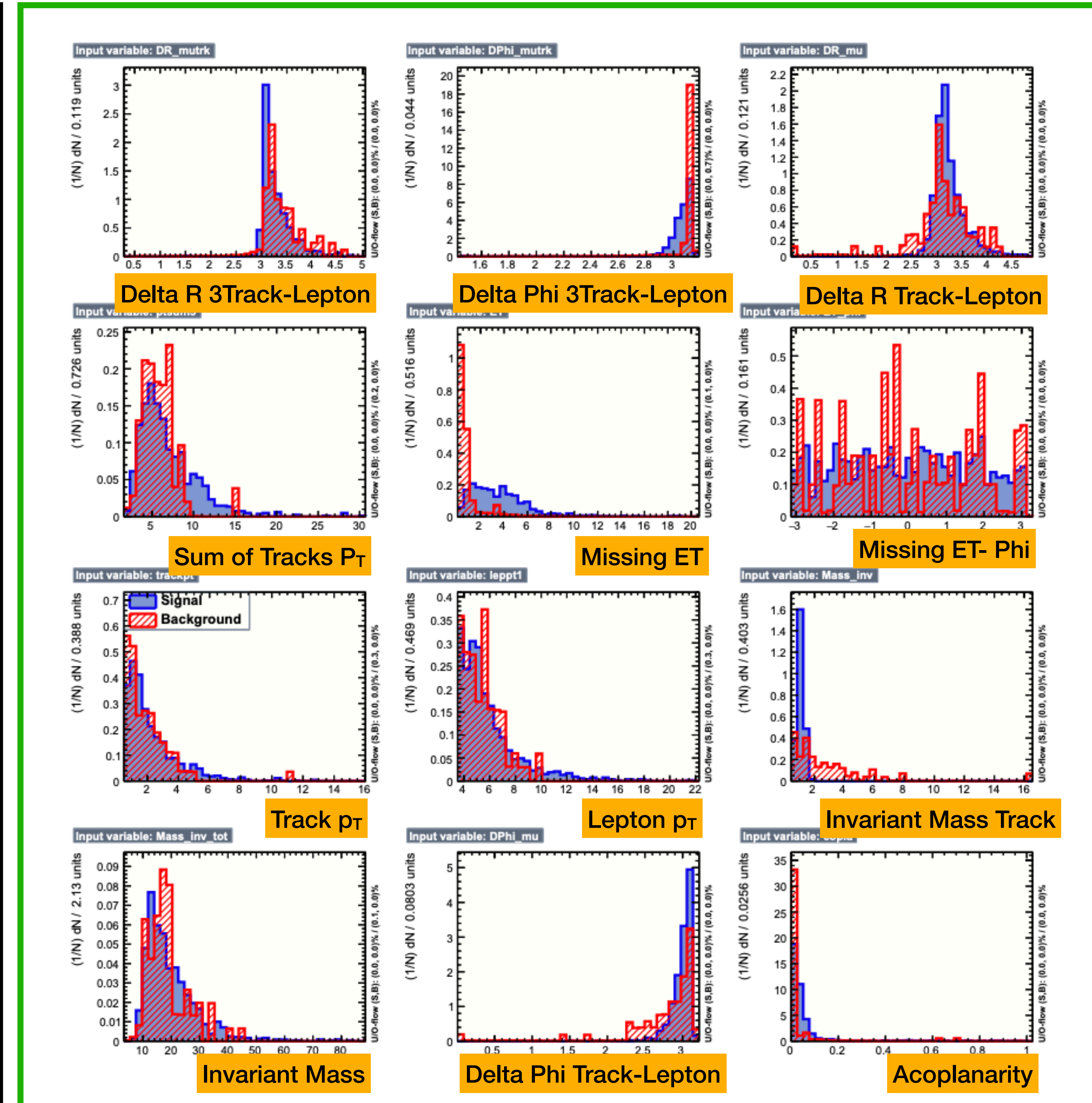
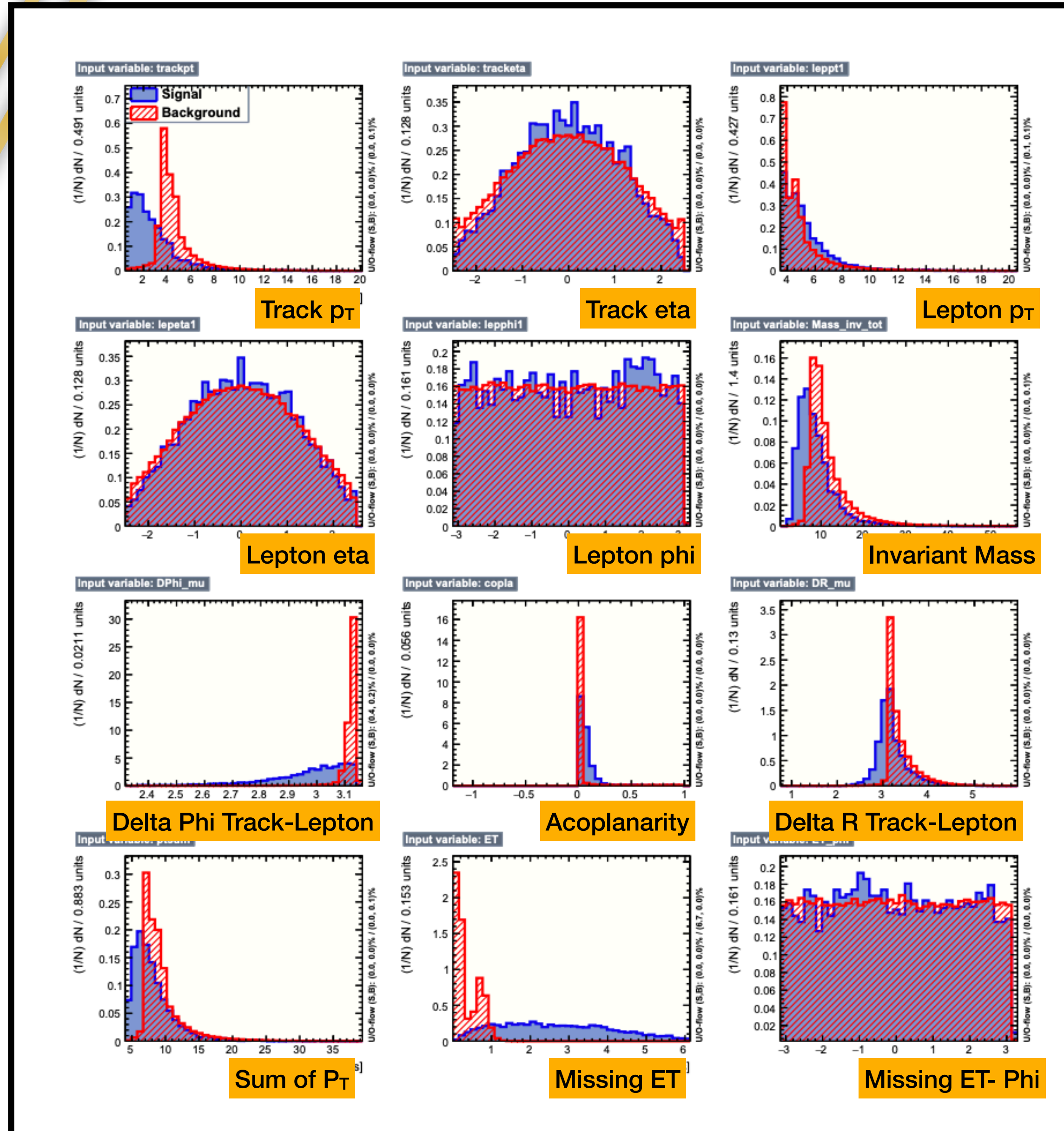
Best Significance $S/\sqrt{S+B}$	SR 1L3T
18	Cut and Count up to muon $p_T$
20	BDTG $> -0.61$



# 1L1T

Background  
Signal

# 1L3T





# Profile Likelihood Fit

- **The  $a_\tau$  value is extracted using a profile likelihood fit** implemented with the TRexFitter package.
- Each **template for different  $a_\tau$  values** from dedicated signal MC (no re-weight):
  - Lepton  $P_T$  distribution used for the fit normalised to  $2.0 \text{ nb}^{-1}$
  - Asimov Data
- **Separate fit setup used to extract the  $\gamma\gamma \rightarrow \tau\tau$  signal strength ( $\mu_{\tau\tau}$ ) under the assumption of  $a_\tau = 0$ .**
- **We performed a profile likelihood for the the SC and for the BDTG methods to highlight possible improvements.**
- The systematic uncertainties included are on the luminosity, estimated to be 2% and an additional 10% to conservatively mimic the experimental conditions (uncorrelated for signal and background)
  - Use of control region: events with 2 muons with invariant mass above 11 GeV



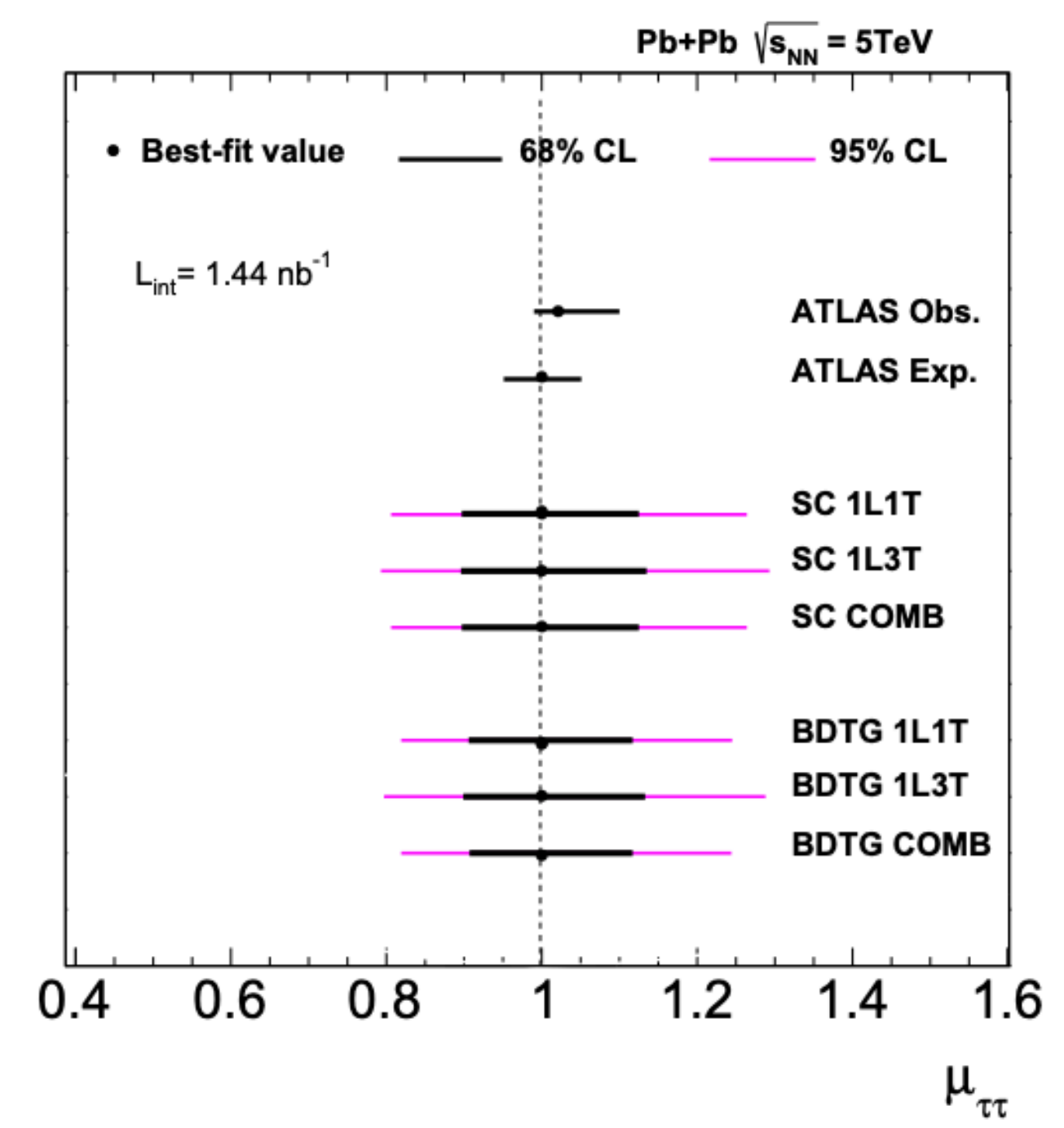
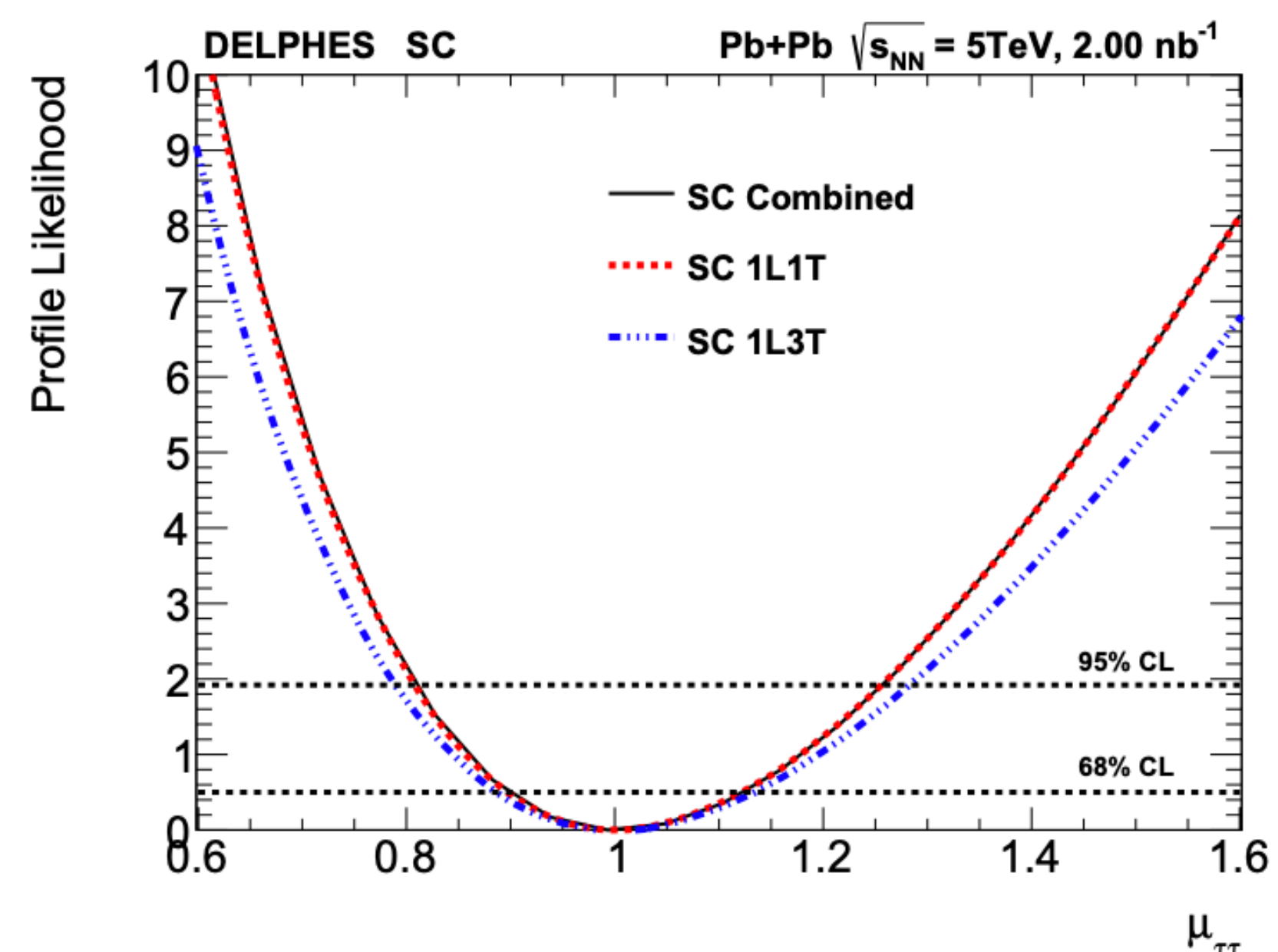
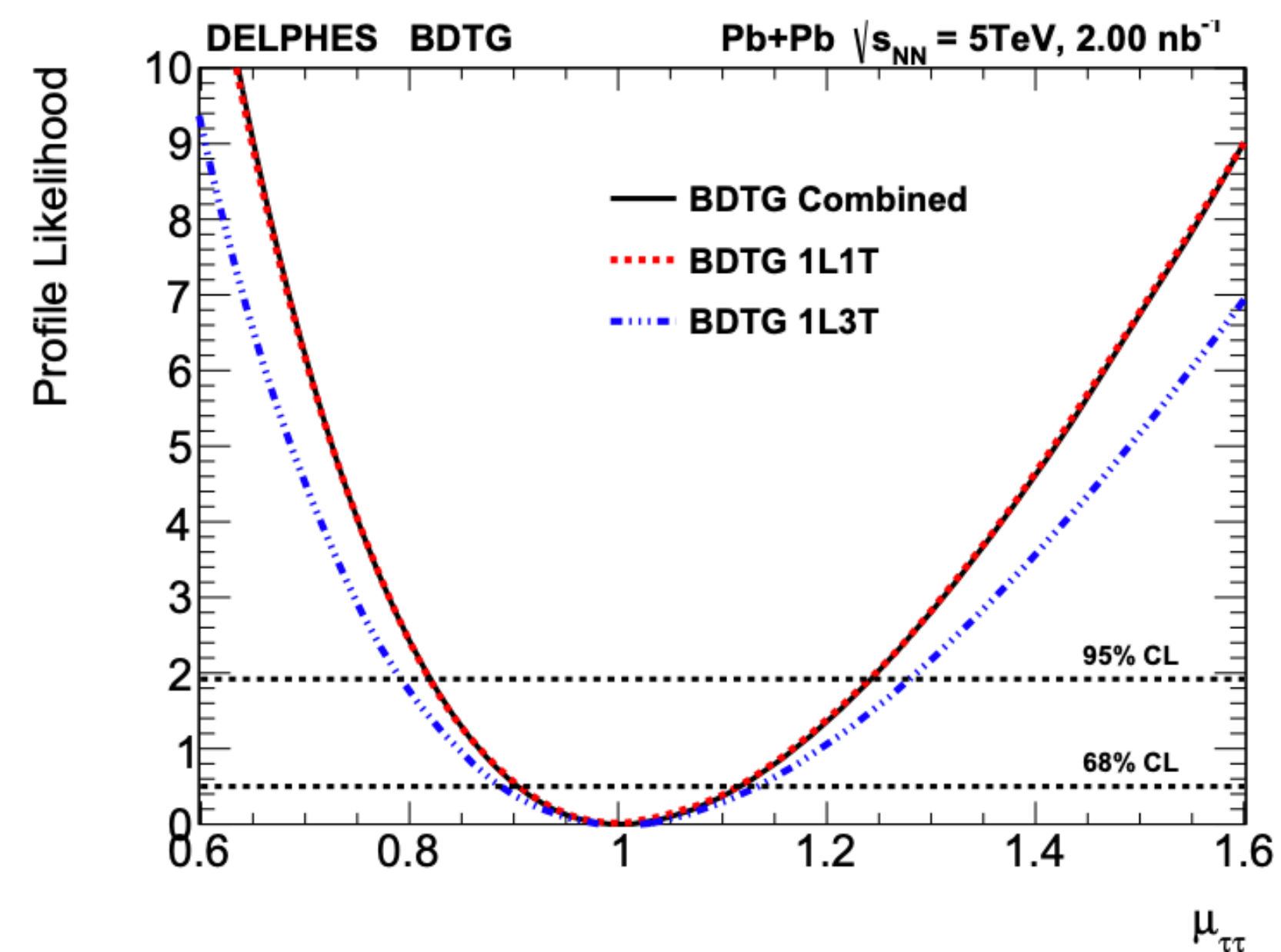
# Results of Signal Strength

2.0nb<sup>-1</sup>

Profile likelihood scan of the signal strength parameter using Asimov Data and considering  $a_\tau = 0$ , for the two signal regions.

The normalisation systematic uncertainties included are: 2% to mimic the ATLAS luminosity uncertainties and an additional uncorrelated 10% for signal and background to overall mimic experimental conditions.

95% CL	SR 1L1T	SR 1L3T	Combined
SC	$\mu_{\tau\tau} = 1 \begin{smallmatrix} -0.189 \\ +0.257 \end{smallmatrix}$	$\mu_{\tau\tau} = 1 \begin{smallmatrix} -0.198 \\ +0.282 \end{smallmatrix}$	$\mu_{\tau\tau} = 1 \begin{smallmatrix} -0.189 \\ +0.256 \end{smallmatrix}$
BDTG	$\mu_{\tau\tau} = 1 \begin{smallmatrix} -0.179 \\ +0.242 \end{smallmatrix}$	$\mu_{\tau\tau} = 1 \begin{smallmatrix} -0.195 \\ +0.277 \end{smallmatrix}$	$\mu_{\tau\tau} = 1 \begin{smallmatrix} -0.179 \\ +0.241 \end{smallmatrix}$



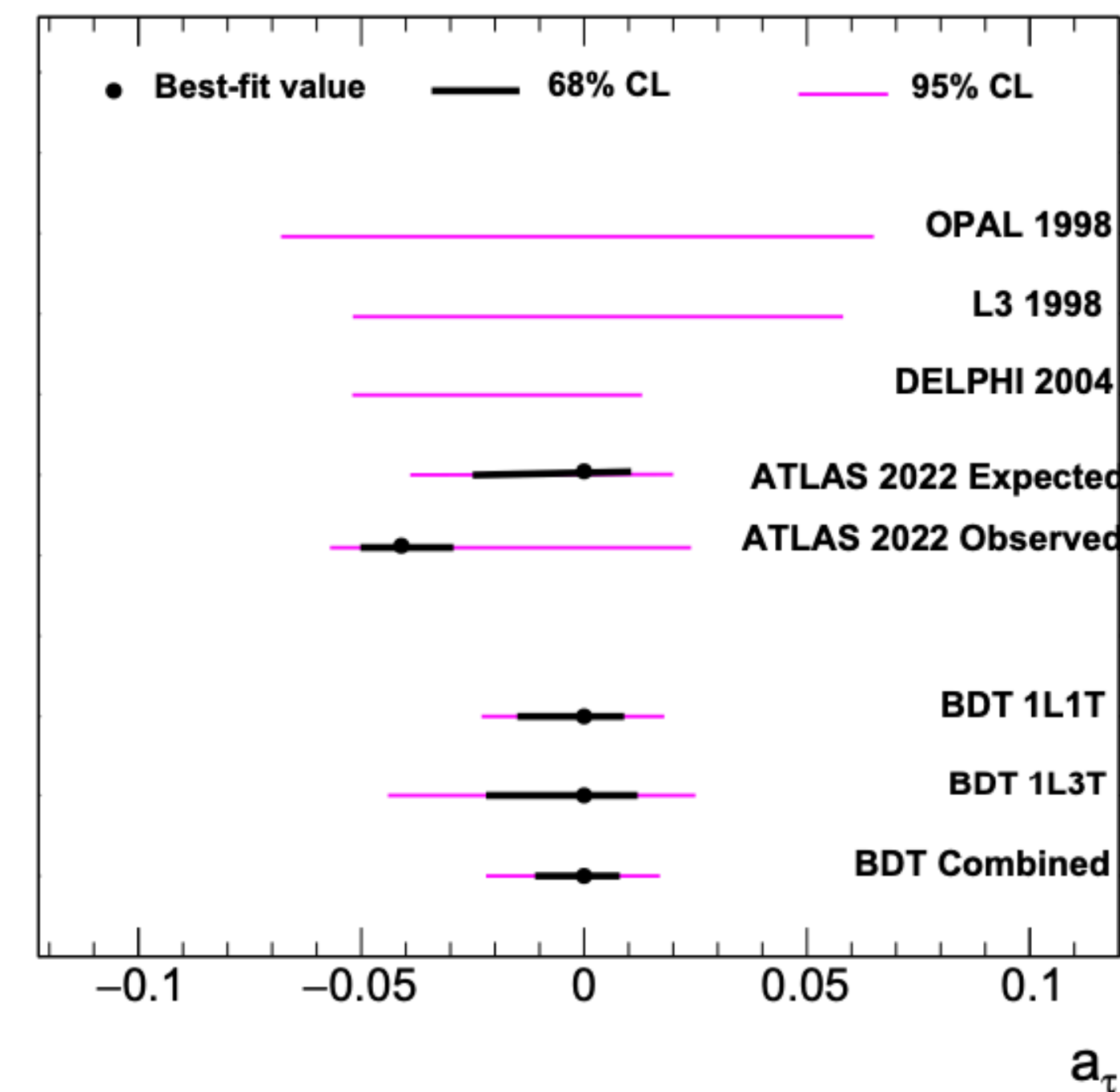
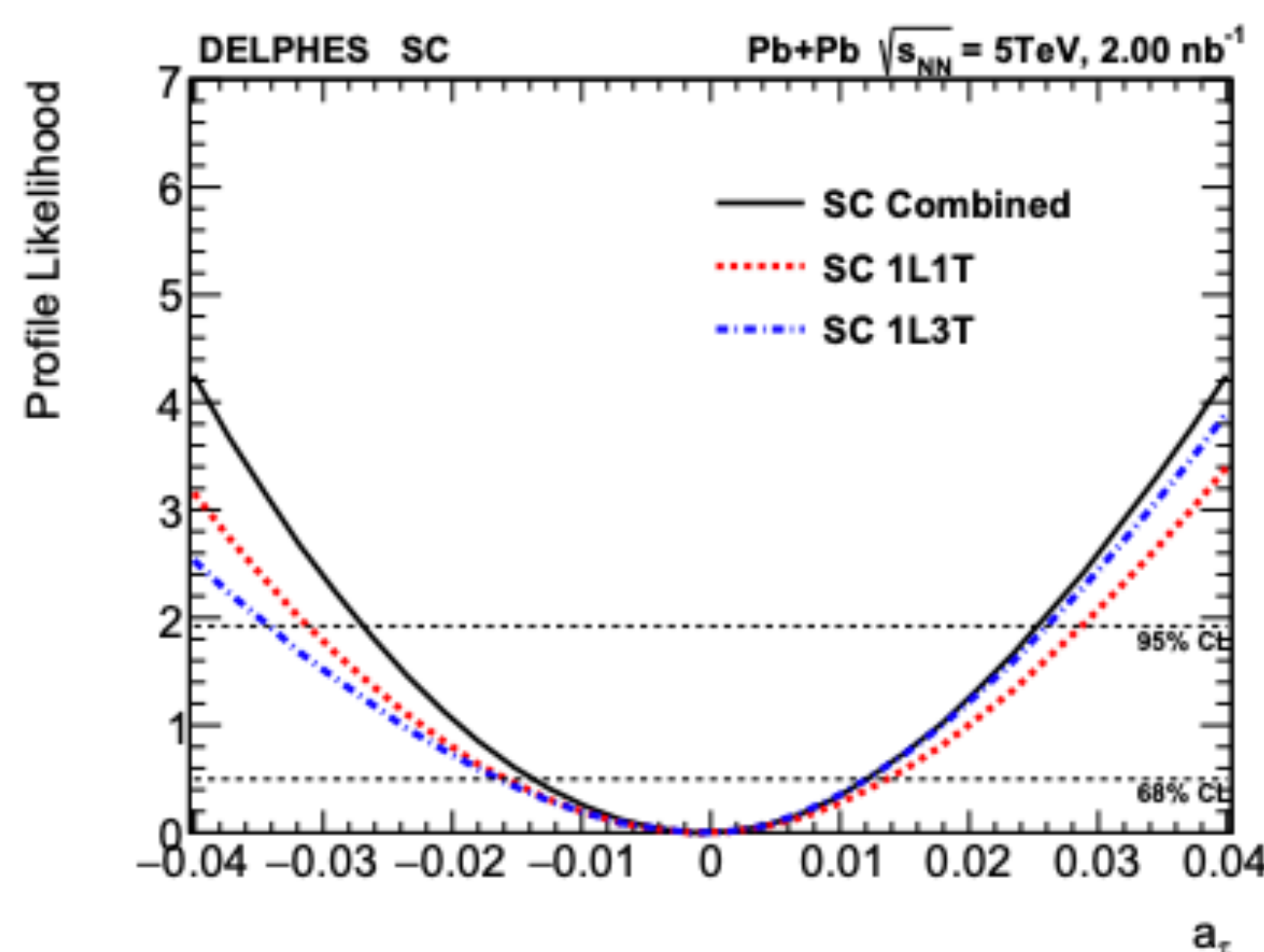
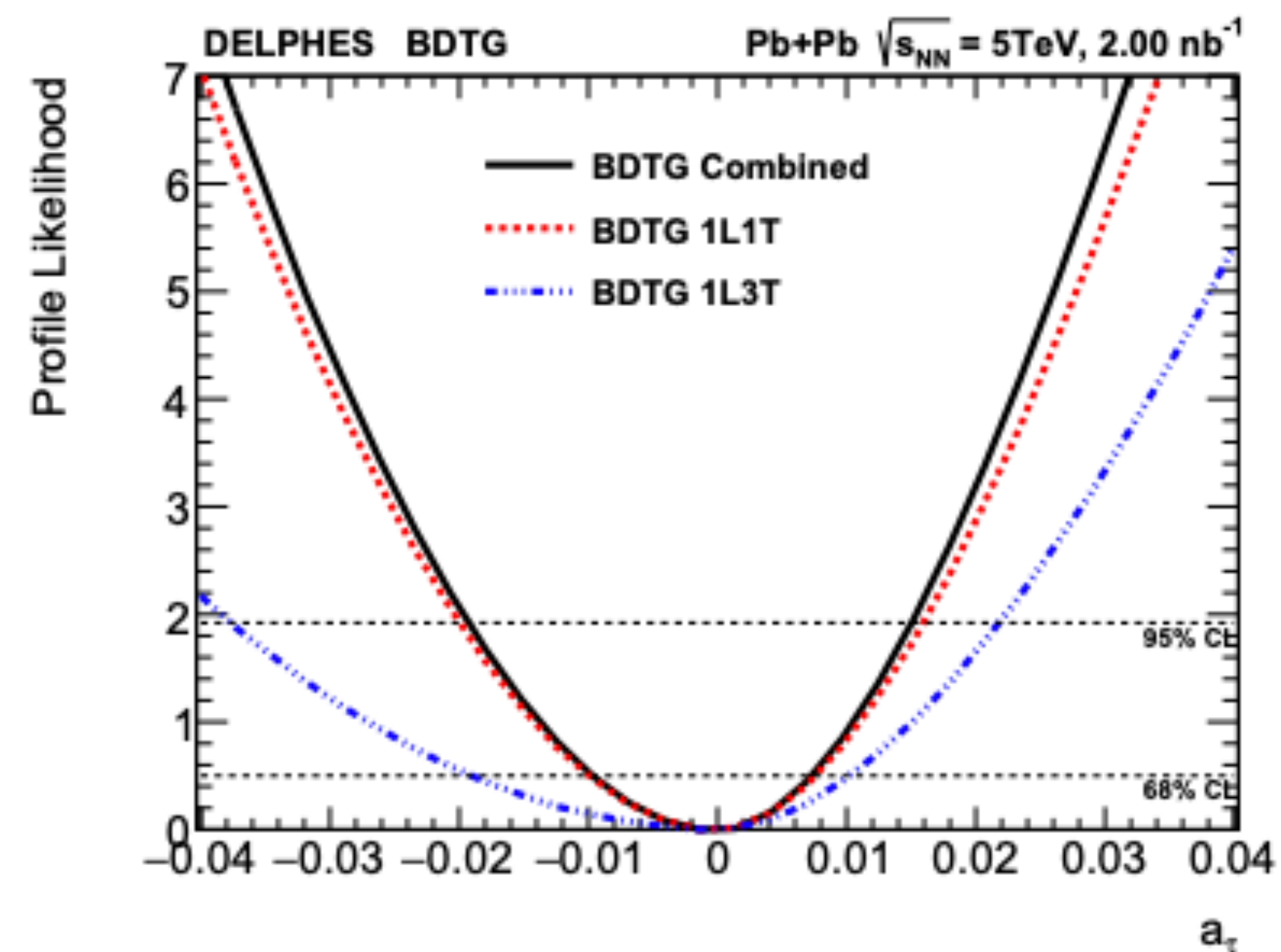
# Results on $a_{\tau}$

2.0nb<sup>-1</sup>

Profile likelihood scan of  $a_{\tau}$  using Asimov Data for the two signal regions.

The normalisation systematic uncertainties included are: **2% to mimic the ATLAS luminosity uncertainties and an additional uncorrelated 10% for signal and background to overall mimic experimental conditions.**

95% CL	SR 1L1T	SR 1L3T	Combined
SC	$a_{\tau} = 0 \begin{smallmatrix} -0.031 \\ +0.030 \end{smallmatrix}$	$a_{\tau} = 0 \begin{smallmatrix} -0.034 \\ +0.026 \end{smallmatrix}$	$a_{\tau} = 0 \begin{smallmatrix} -0.027 \\ +0.025 \end{smallmatrix}$
BDTG	$a_{\tau} = 0 \begin{smallmatrix} -0.020 \\ +0.016 \end{smallmatrix}$	$a_{\tau} = 0 \begin{smallmatrix} -0.038 \\ +0.022 \end{smallmatrix}$	$a_{\tau} = 0 \begin{smallmatrix} -0.019 \\ +0.015 \end{smallmatrix}$





# Conclusions

- A study on  $a_\tau = (g-2)/2$  using  $\gamma\gamma \rightarrow \tau\tau$  events produced in ultraperipheral Pb+Pb collisions was presented. MC samples were generated by using MadGraph and Pythia8 and the ATLAS detector effects by using Delphes. Public in [Phys. Rev. D 110, 052001 \(2024\)](#)
  - All the samples have been produced and simulated (no weights used)
- A different approach of previous studies was adopted in term of :
  - Signal events produced by  $a_{\text{tau}}$  effective Lagrangian term in MadGraph
  - Analysis selection with multivariate method in both the SR
- The alternative theory method agrees with the other theory models.
- Additionally, the multivariate analysis shows a significant improvement with respect to the standard cut of about 35%.



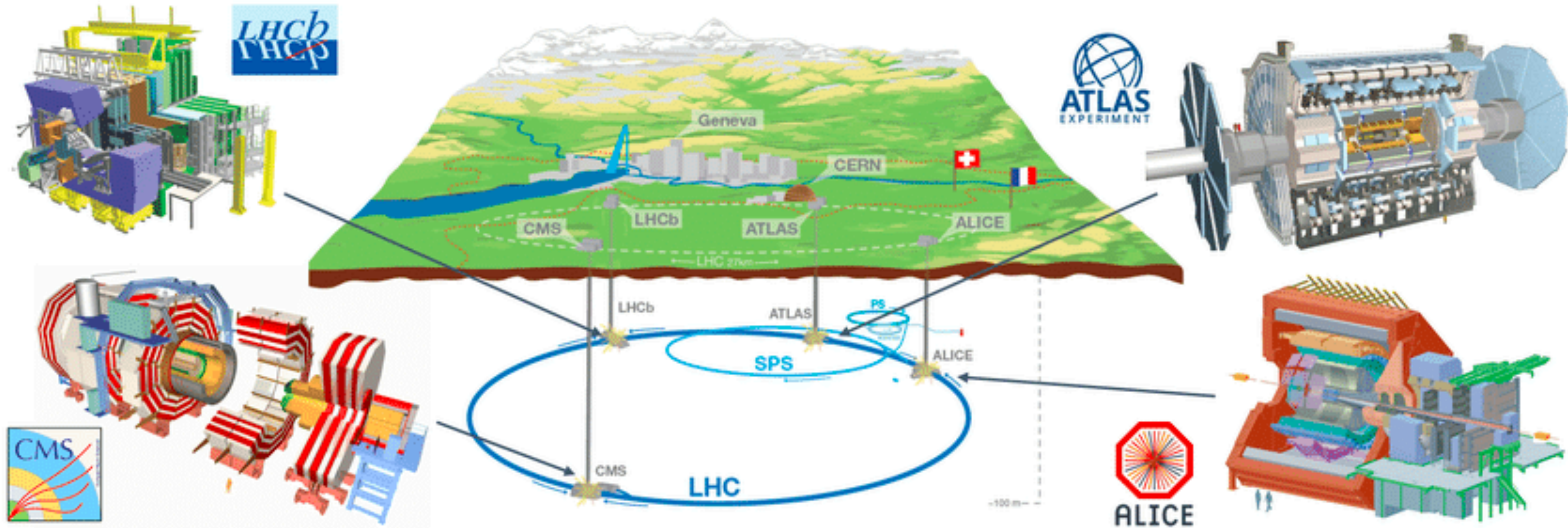
For any questions and/or comments please mail me :  
[monica.verducci@cern.ch](mailto:monica.verducci@cern.ch)



# BackUp



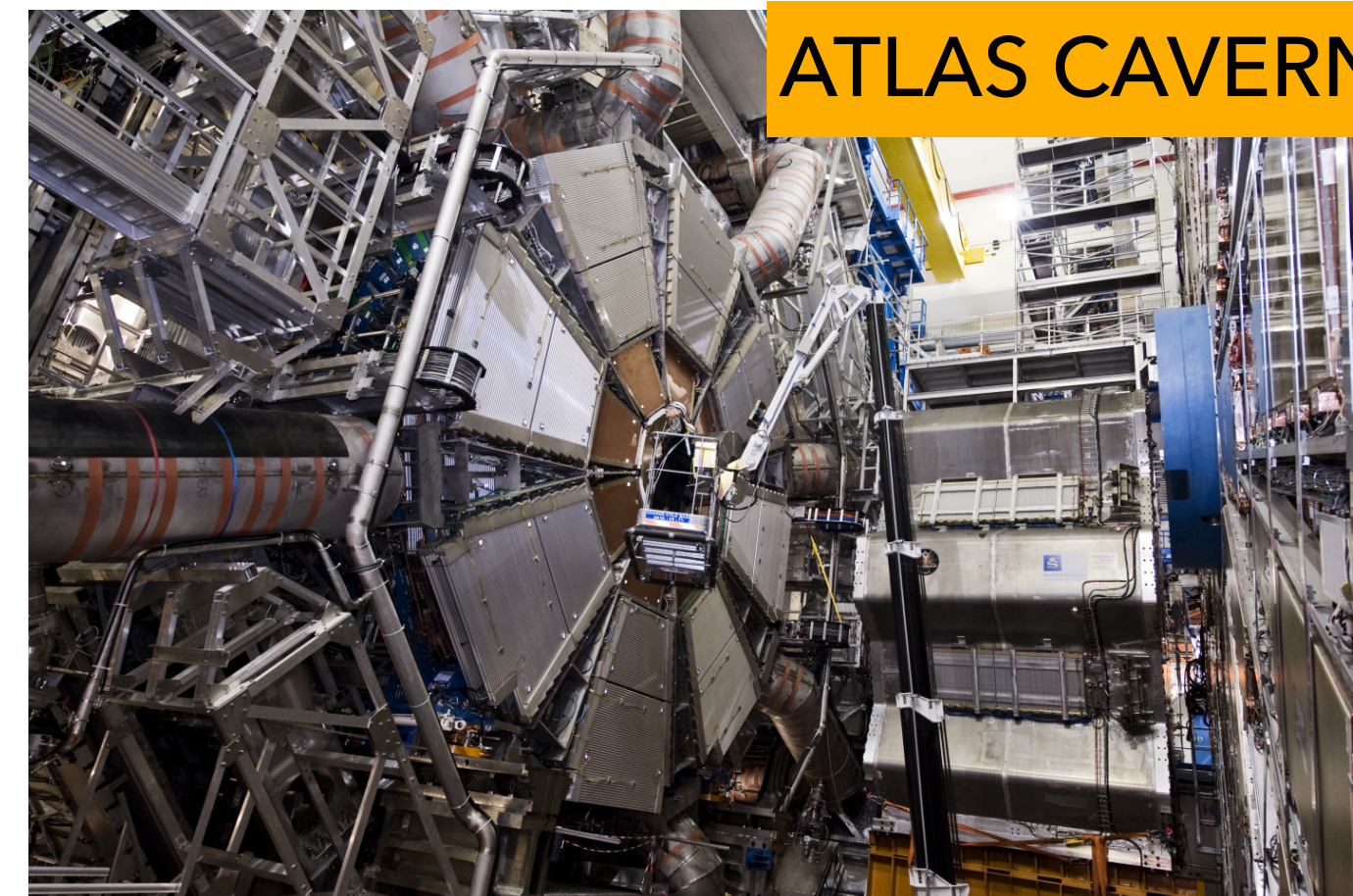
# Experiments @ LHC



ATLAS CONTROL ROOM



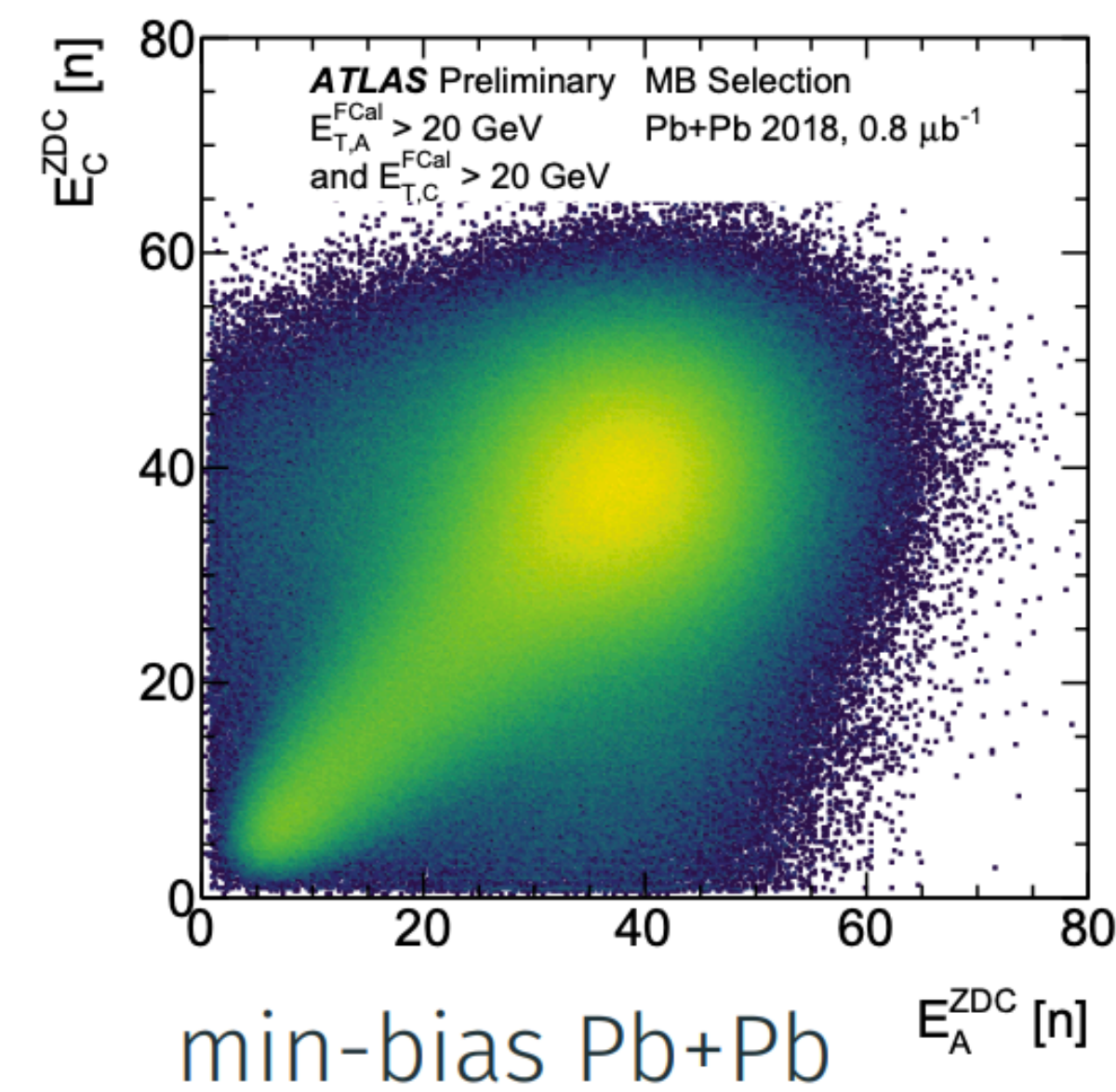
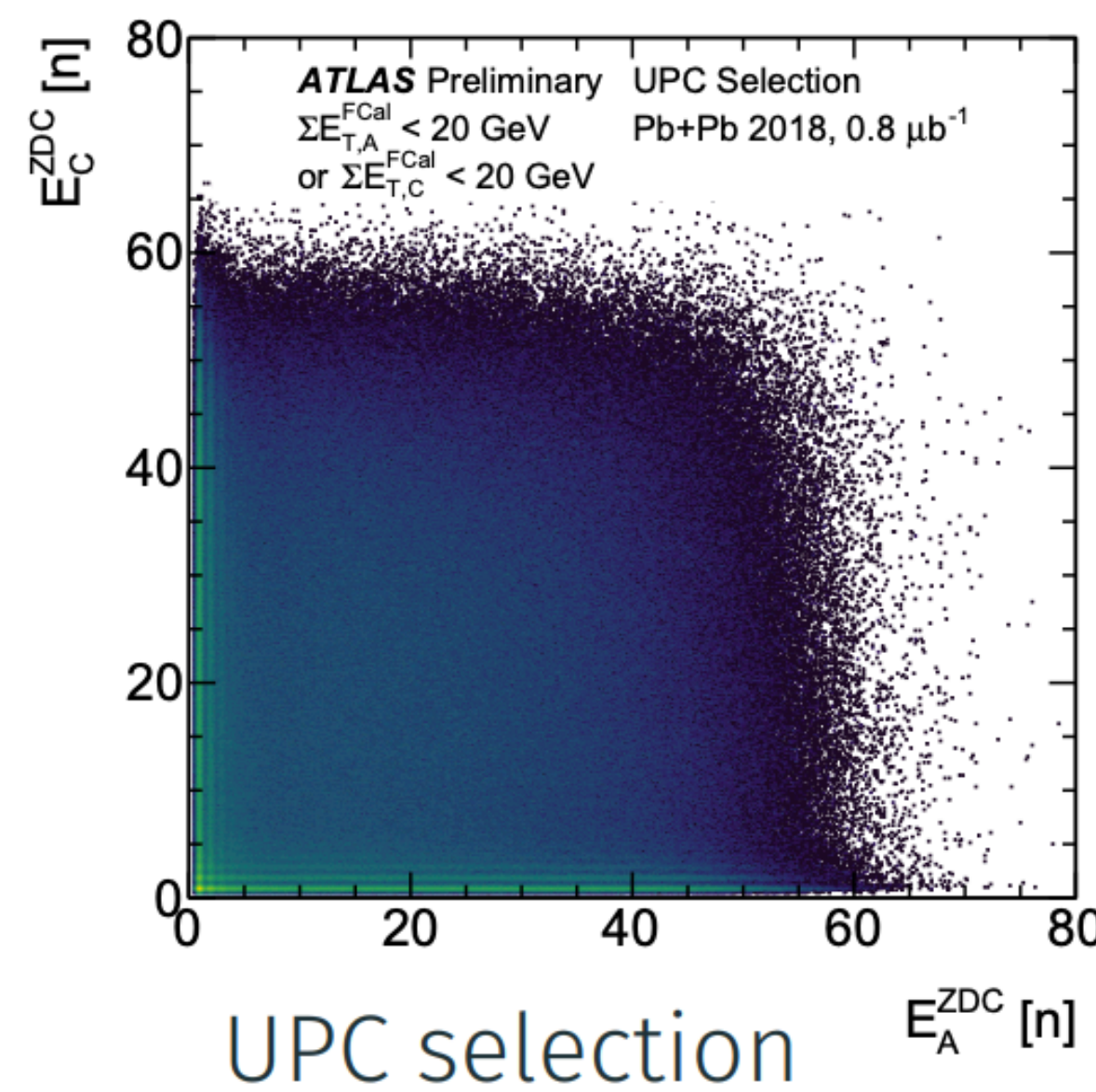
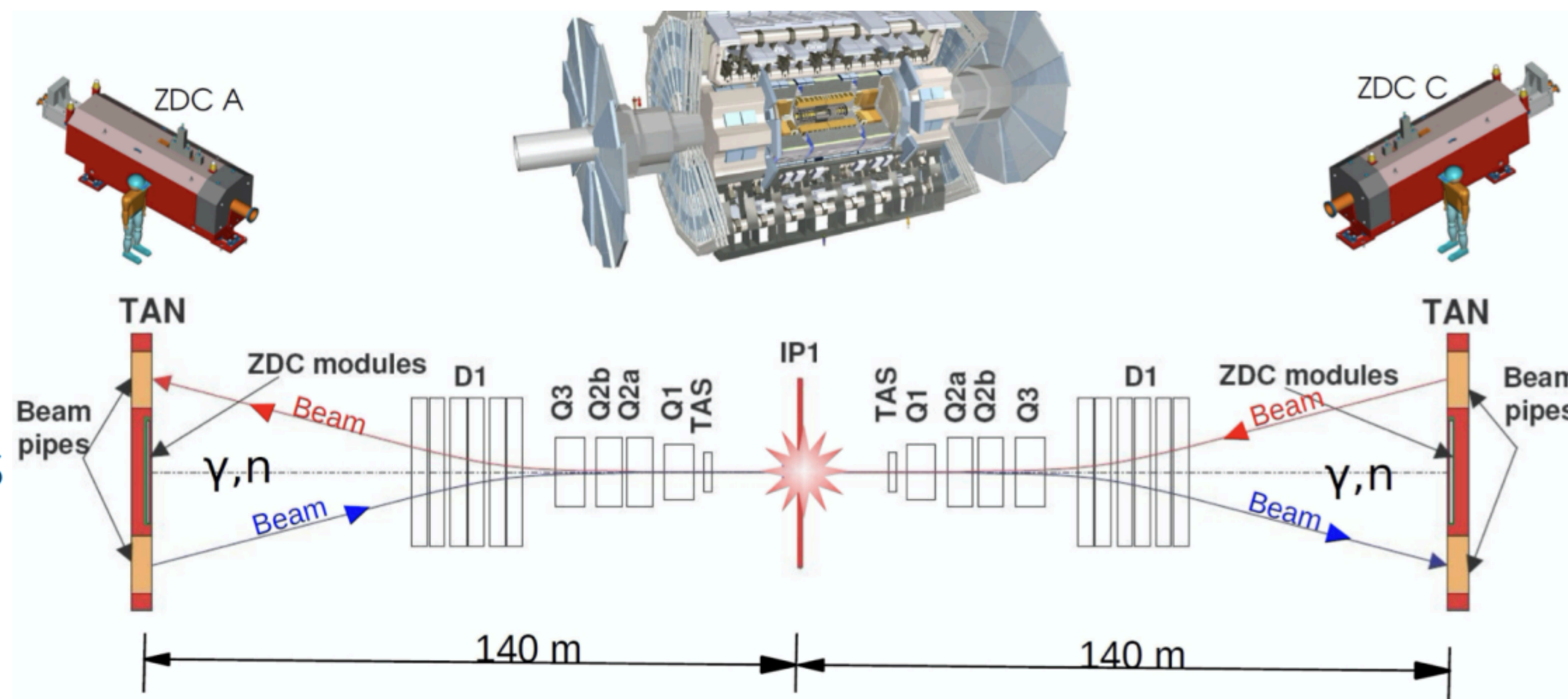
ATLAS CAVERN





# Zero Degree Calorimeter ZDC

- Energies of forward neutral particles (photons, neutrons) measured in two ZDC arms.
- Important for ATLAS heavy-ion program, e.g. helps to separate UPCs from inelastic Pb+Pb collisions.
- For  $\gamma\gamma \rightarrow \tau\tau$  or  $\gamma\gamma \rightarrow \ell\ell$  production expect 60 – 70% of events to have no neutrons on either side (**0n0n topology**).
- ZDC is not simulated in MC, so ZDC selections can only be applied in data  $\rightarrow$  **simulation reweighted to 0n0n topology**.

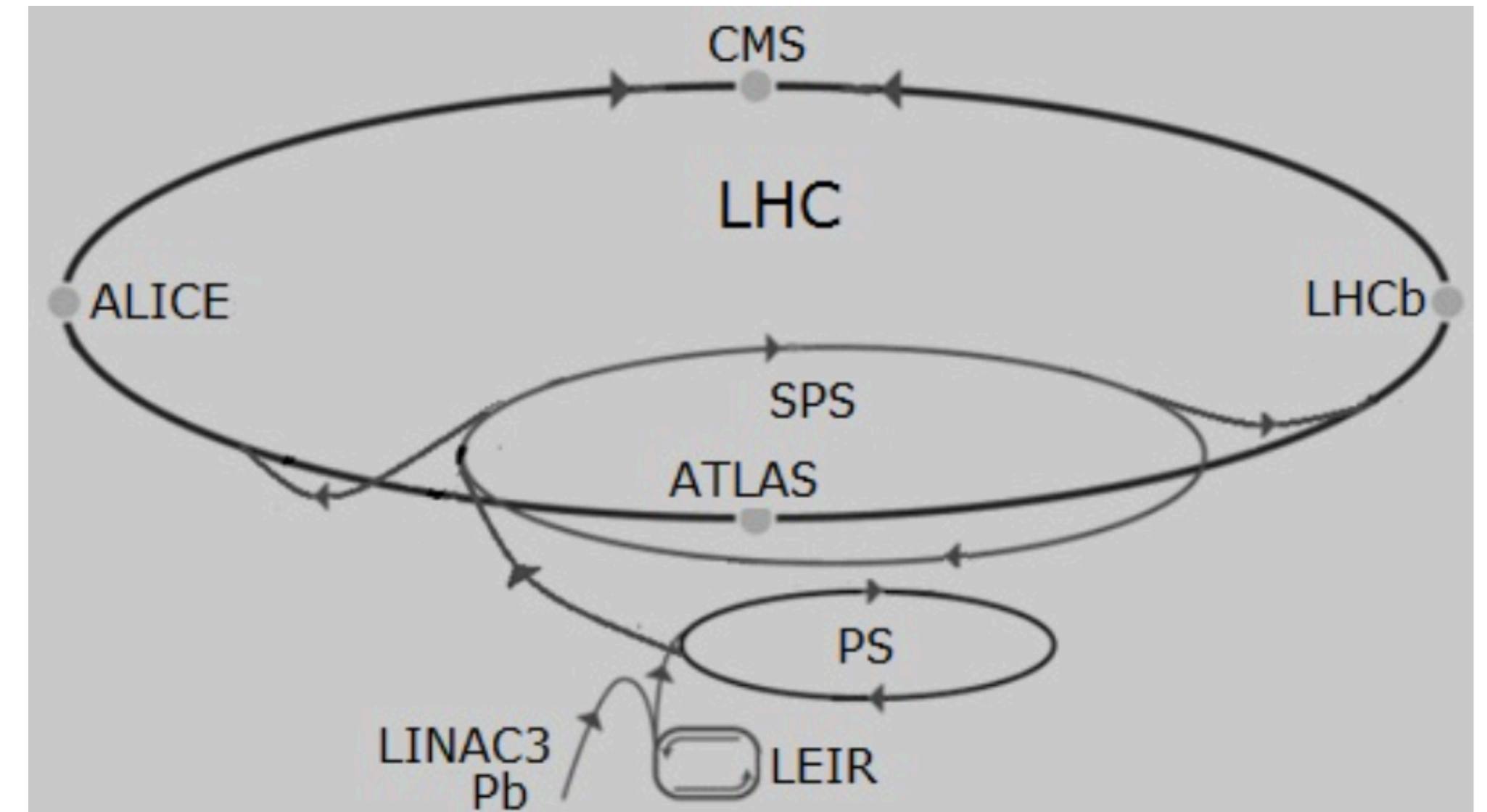




# LHC with Lead Lead Collisions

The ions first travel through a linear accelerator called **Linac3**, picking up a small amount of energy (4.5 MeV per nucleon). Next, the ions are accumulated and accelerated to 72 MeV per nucleon in the **Low Energy Ion Ring, or LEIR**. Then they move to **SPS**.

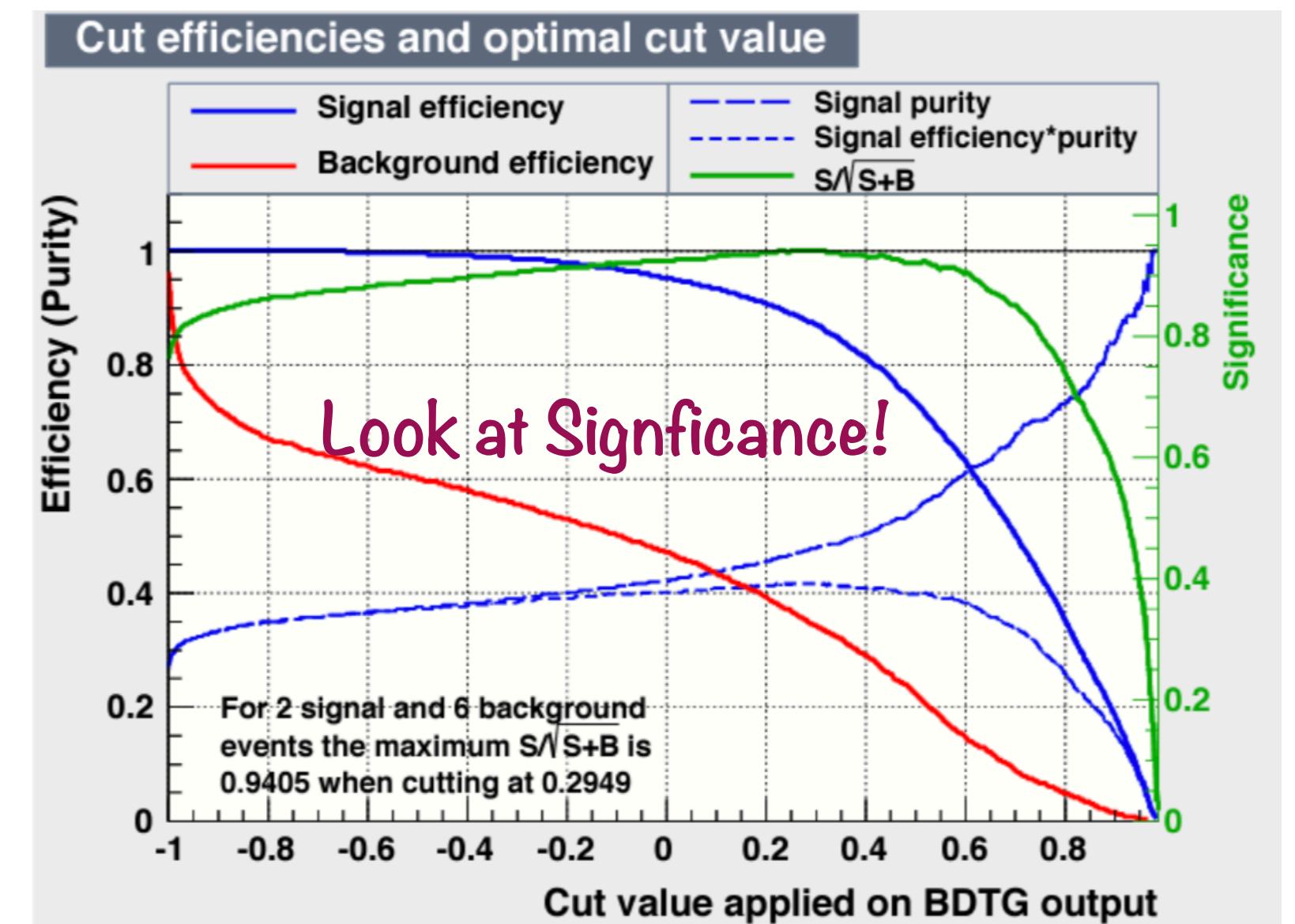
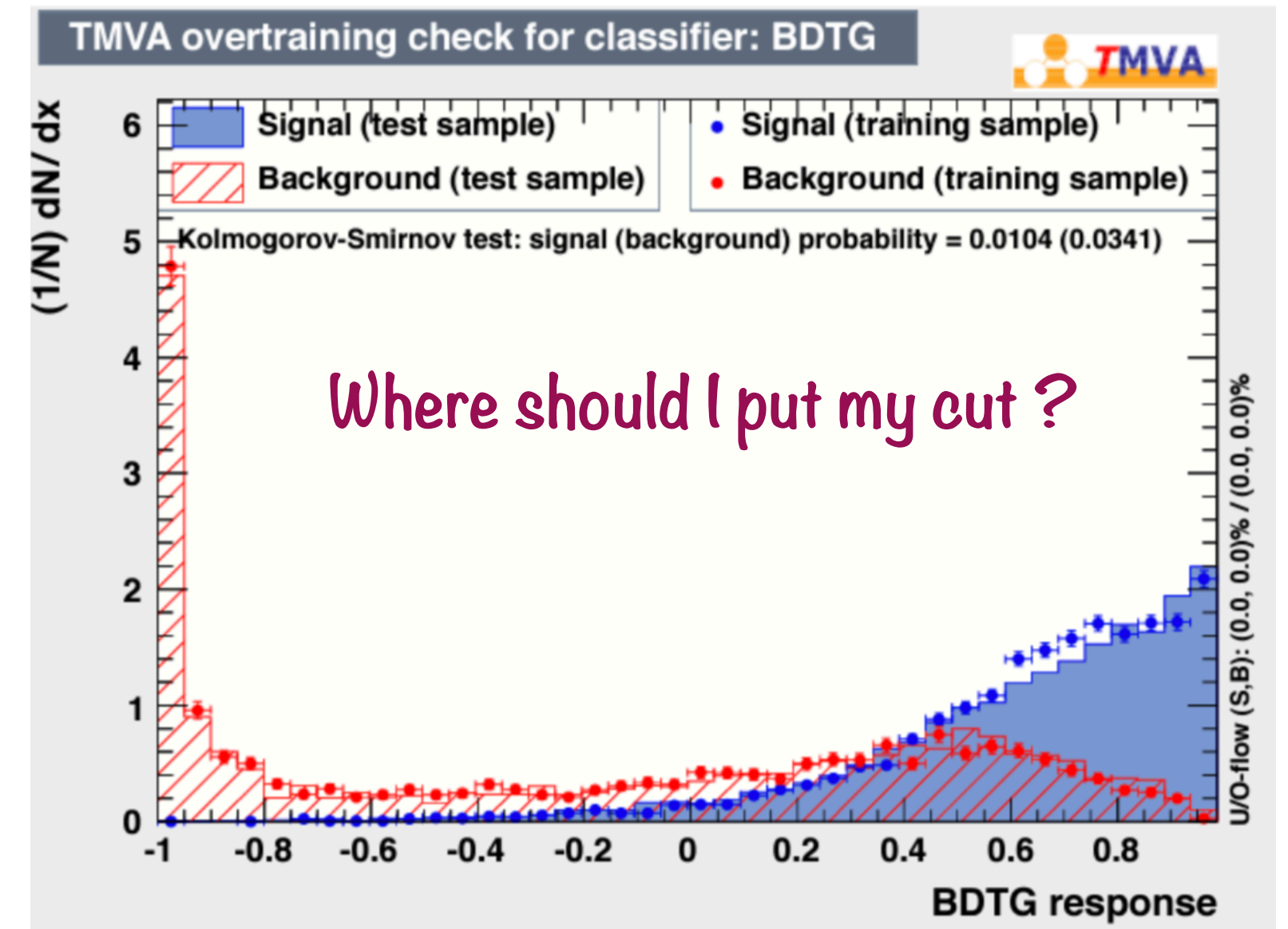
**Each LHC ring will be filled in 10 min by almost 600 bunches, each of  $7 \times 10^8$  lead ions.** Central to the scheme is the Low Energy Ion Ring (LEIR), which transforms long pulses from Linac3 into highbrilliance bunches.





# How do we optimise the selection?

- **Score Function: Significance**  $S/\sqrt{(S+B)}$ 
  - Number of signal events  $S$  in a selected event sample is estimated by subtracting the estimated background  $B$  from the total number of events  $N$ :
    - $S = N - B$
- Statistical uncertainty in the signal estimate:
  - $S = \sqrt{N} = \sqrt{(S+B)}$
  - Poisson statistics
  - ignore systematic uncertainties, and consider  $B$  large enough
- **goal: maximize significance**
  - by keeping signal events
  - while suppressing background
- Additional score function based on likelihood test:
  - $\sqrt{2(S+B)\ln(1+S/B)} - 2S$



# Analysis Strategy @ ATLAS

2204.13478

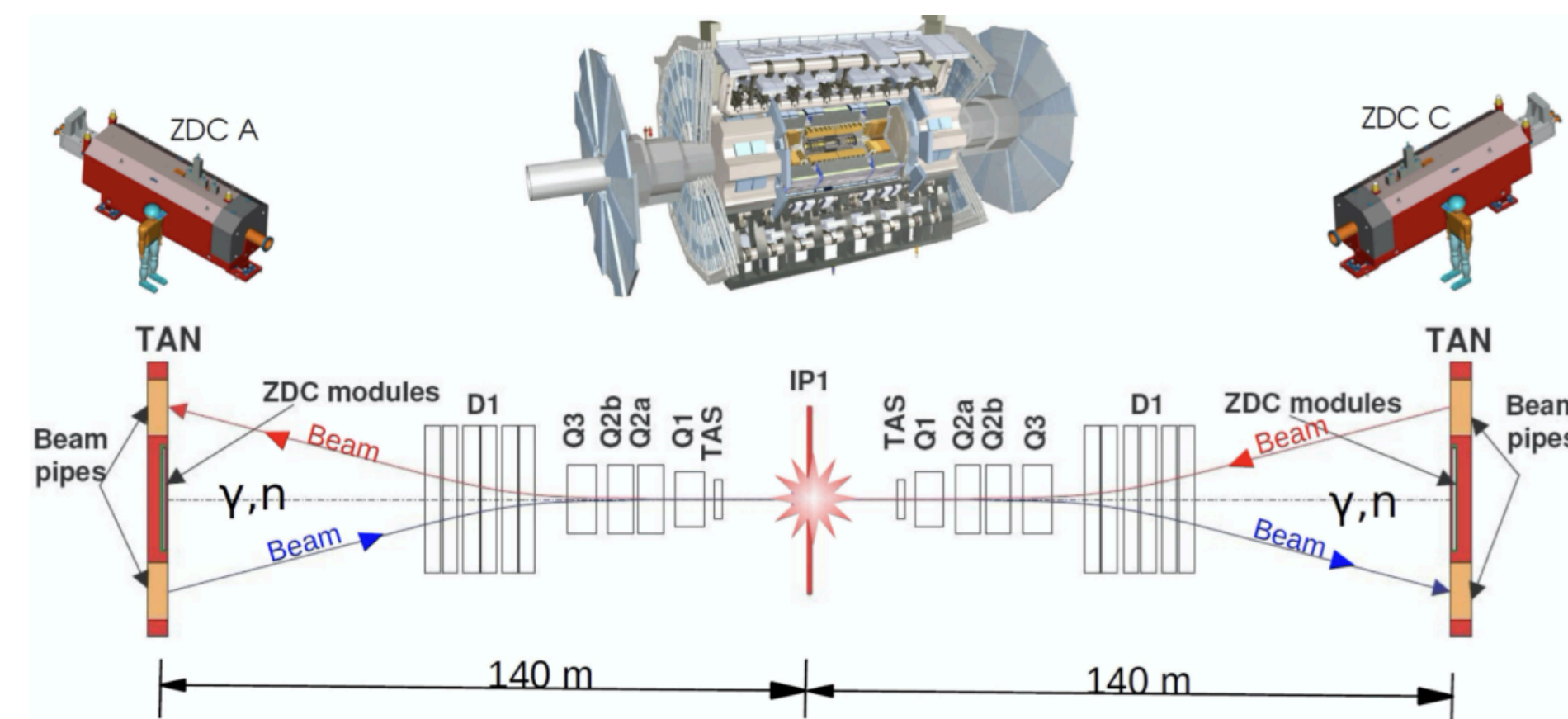
## Analysis Strategy:

- 3 periods of heavy ion collisions during Run2
- Ultraperipheral Collisions (UPC) of PbPb at  $\sqrt{s_{NN}} = 5.02$  TeV
  - Order of  $1.44 \text{ nb}^{-1}$  data sample
  - Elastic & diffractive
  - Small energy deposit in the forward detector system

Both ATLAS and CMS use muon to trigger the event.  
Vetoing Forward activity to separate UPCs from inelastic Pb+Pb collisions

- Constraints on  $a_\tau$  from total  $\gamma\gamma \rightarrow \tau\tau$  cross-section / yield and differential distributions (e.g. leading lepton  $p_T$ )
- Categorise di- $\tau$  events:
  - lepton + 1 track ( $\ell/\text{pion}$ )
  - lepton + 3 tracks (3pions)
  - $\mu + e$

## Zero Degree Calorimeter





# Analysis Strategy @ ATLAS

**ATLAS**

## Event Preselection

- **Trigger:** HLT\_mu4 + FCal-based forward gap + total  $E_T$  at L1 < 50 GeV
- $E_{ZDC} < 1\text{TeV}$ : reduce neutral particles in the forward region helps to separate UPCs from inelastic Pb+Pb collisions. Reduce photo-nuclear background

## Region Selection

- **Exclusivity selections:** no tracks except signal leptons/tracks - no clusters unmatched to signal leptons/tracks
- **Cuts on system  $p_T$  help to suppress  $\gamma\gamma \rightarrow \mu\mu$  background in 1M1T SR**

Region	Data	Signal $\gamma\gamma \rightarrow \tau\tau$	Background $\gamma\gamma \rightarrow \mu\mu(\gamma)$	Background $\gamma\gamma \rightarrow ee$	Background $\gamma\gamma \rightarrow \text{jet}$	Background photonuclear
1M1T SR	532.0	497.1	70.2	0.0	0.1	13.5
1M3R SR	85.0	90.2	6.7	0.0	0.3	2.8
1M1E SR	39.0	35.2	2.8	0.0	0.0	0.0

Observable	Preselection			
GRL	Pass			
$E_{ZDC}^{A,C}$	< 1 TeV			
Trigger	HLT_mu4_hi_upc_FgapAC3_L1MU4_VTE50 fired			
Region	1M1T SR	1M3T SR	1M1E SR	2M CR
$N_\mu^{\text{baseline}}$	= 1	= 1	—	—
$N_\mu^{\text{sig}}$	= 1	= 1	= 1	2
$N_e^{\text{sig}}$	= 0	= 0	= 1	—
$N_{\text{trk}} \Delta R > 0.1$ from $\mu^{\text{sig}}$	= 1	= 3	—	—
$N_{\text{trk}} \Delta R > 0.1$ from $\ell^{\text{sig}}$	—	—	= 0	= 0
Unmatched clusters	= 0	= 0	—	—
$\sum$ charge	= 0	= 0	= 0	—
$p_T^{(\mu, \text{trk})}$	> 1 GeV	—	—	—
$p_T^{(\mu, \text{trk}, \gamma)}$	> 1 GeV	—	—	—
$p_T^{(\mu, \text{trk}, \text{cluster})}$	> 1 GeV	—	—	—
$m_{\text{trks}}$	—	< 1.7 GeV	—	—
$A_\phi^{\mu, \text{trk}(s)}$ (*)	< 0.4	< 0.2	—	—
$m_{\mu\mu}$	—	—	—	> 11 GeV

(\*)  $A_\phi^{\mu, \text{trk}(s)} \equiv 1 - |\Delta\phi_{\mu, \text{trk}(s)}|/\pi$

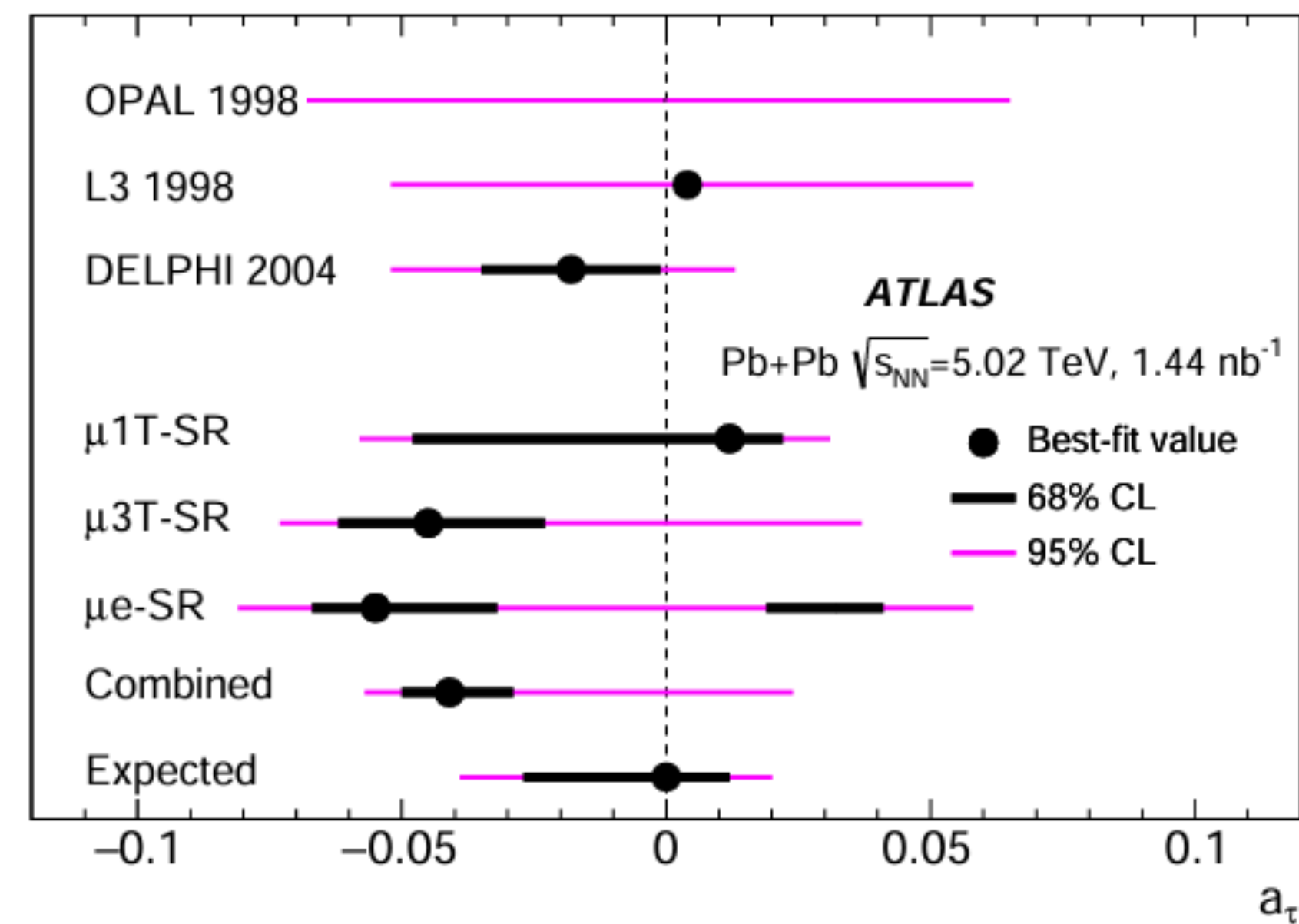
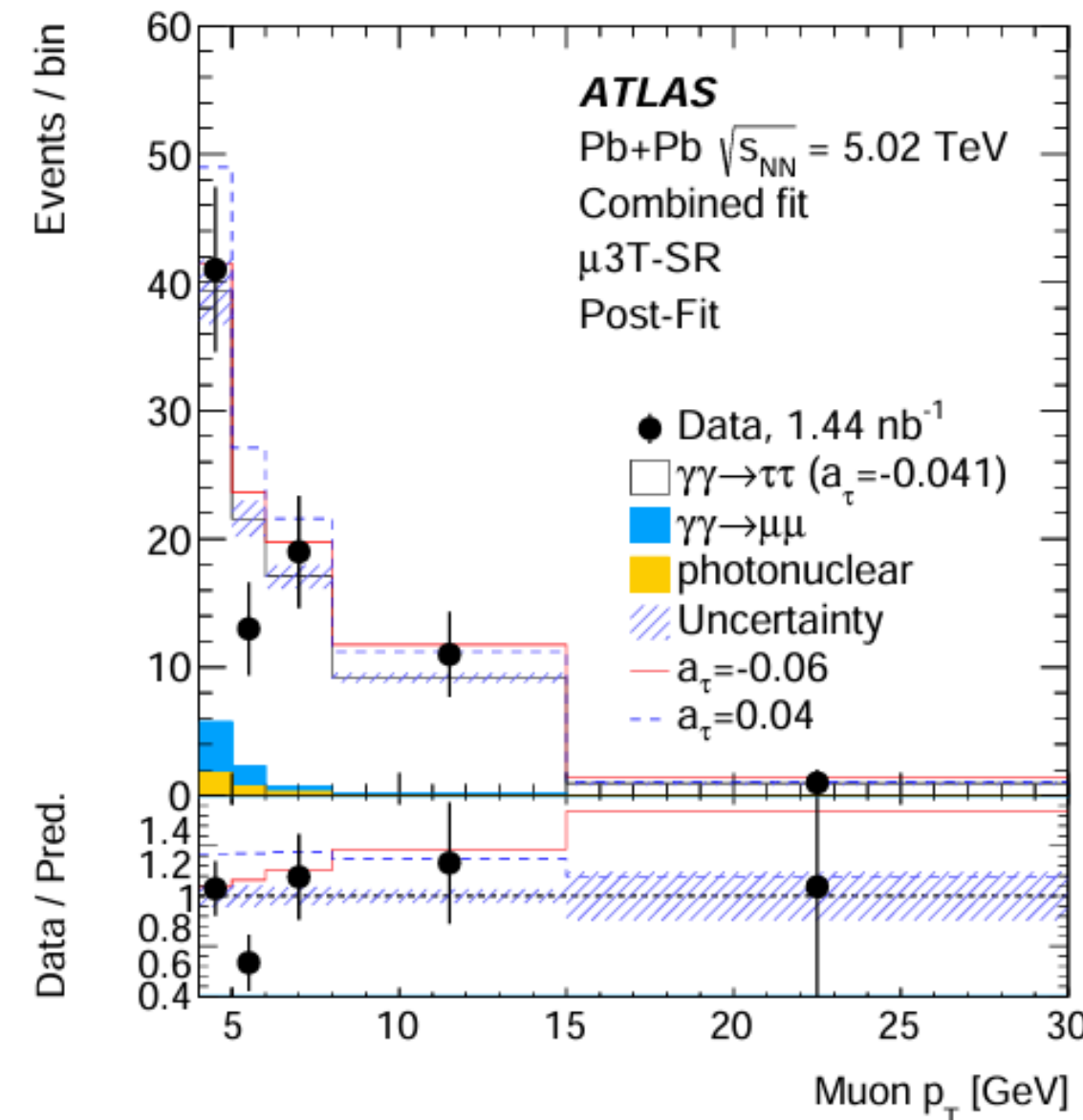
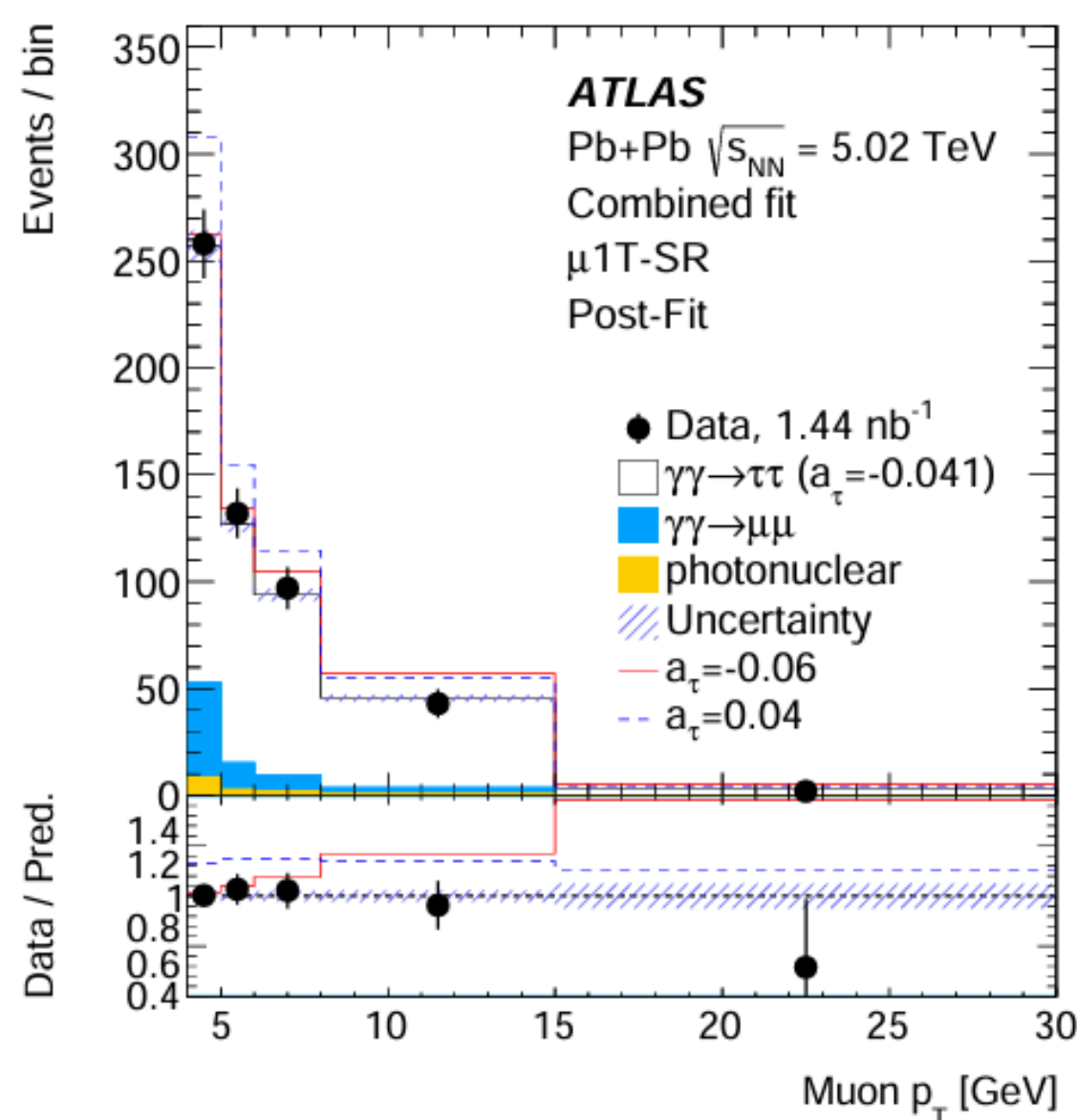
1Muon+  
1Track

1Muon+  
3Tracks

1Muon+  
1Electron

# Results

- Muon transverse momentum used to extract the limits
  - Limits sets to anomalous magnetic momentum of tau
  - Limits set to signal strength  $\mu_{\tau\tau} = 1.03^{+0.06}_{-0.05}$  (tot)



$-0.057 < a_\tau < 0.024$  at 95% CL.



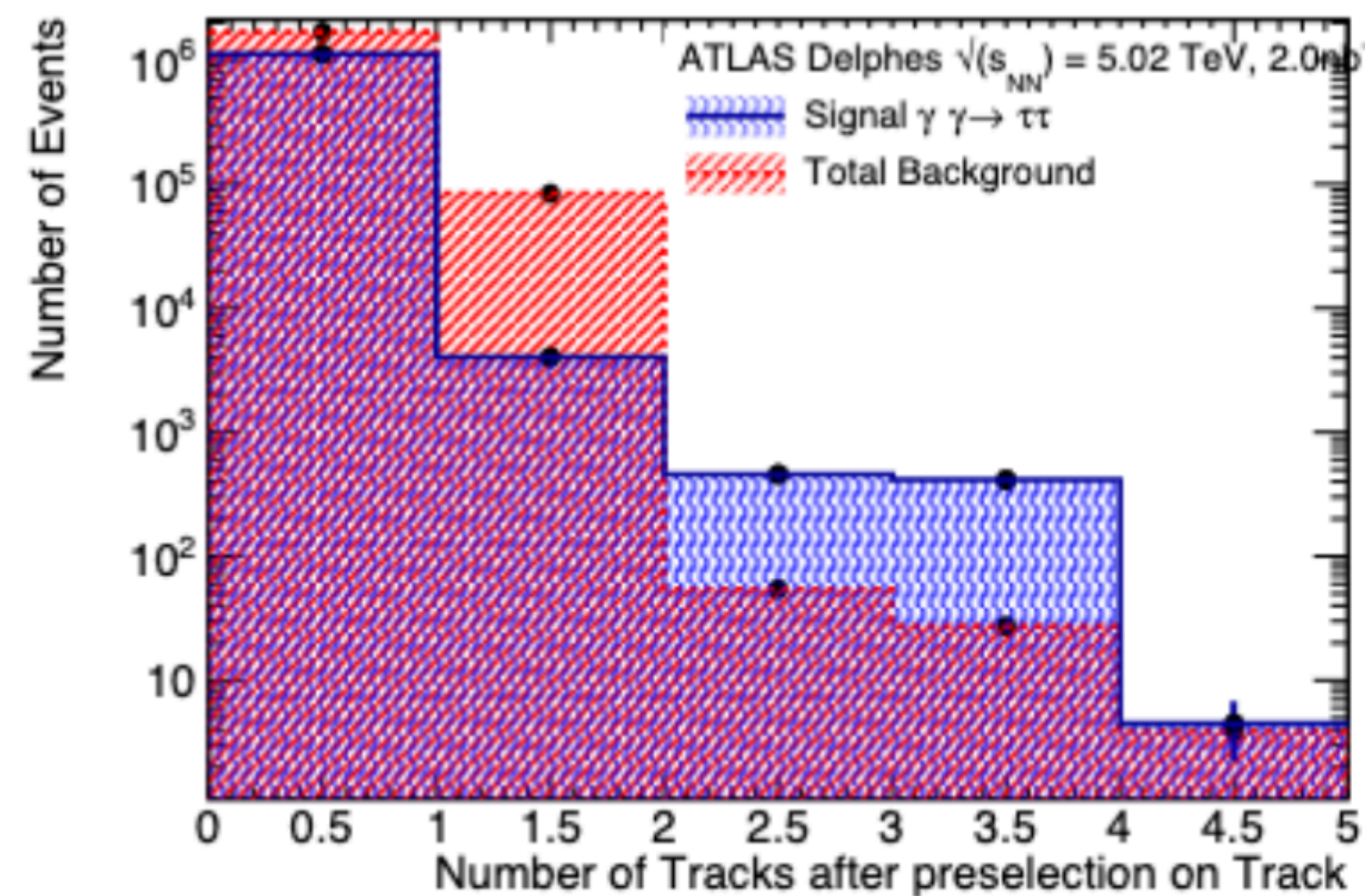
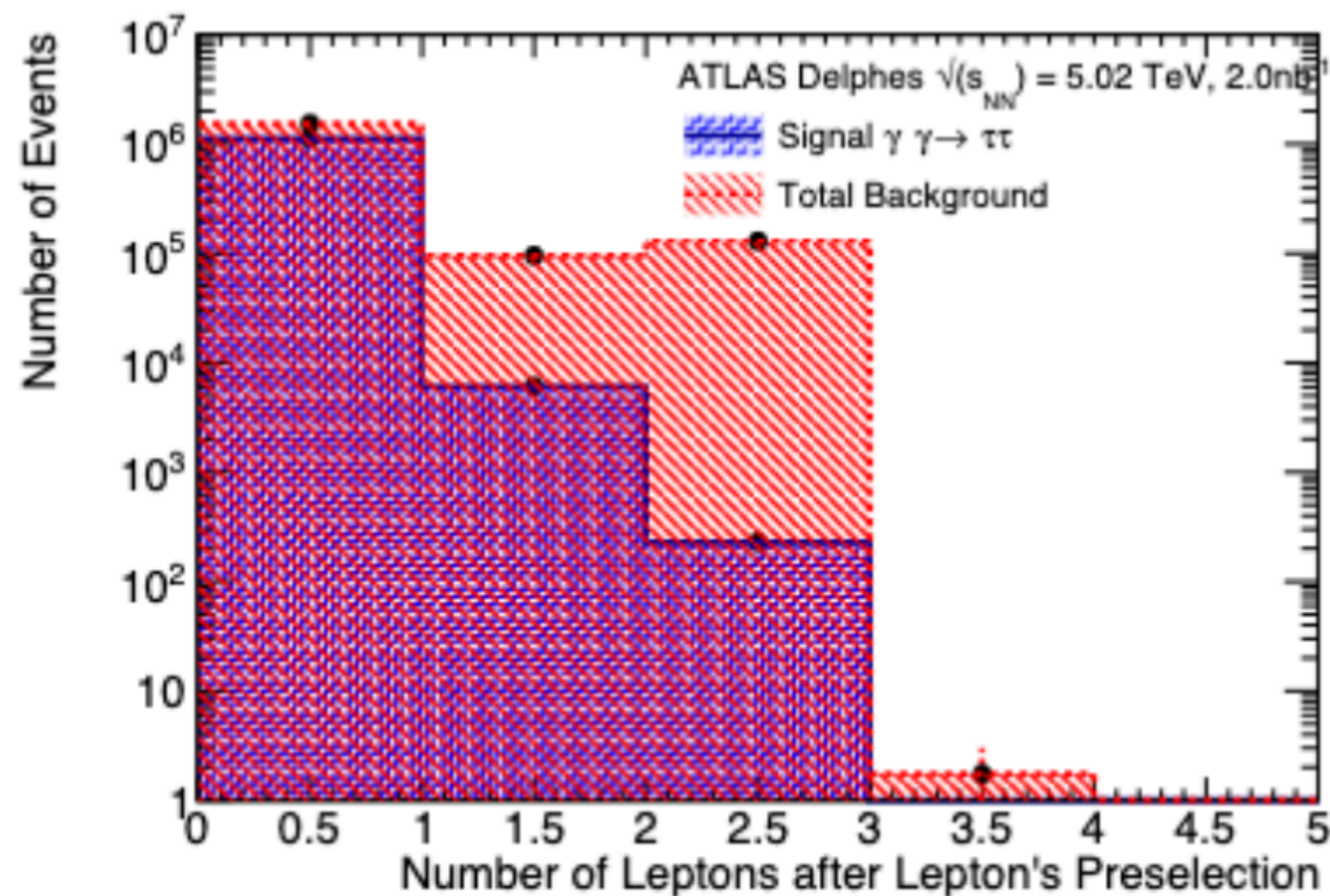
# Signal Region Identification: Preselection

- Three Signal Regions (SRs) driven by tau decays:
  - **1 lepton + one track (1L1T)**
  - **1 lepton + three tracks (1L3T)**

Category Identification very similar to the one used in ATLAS full Analysis.

Two Strategies:

- 1) Standard Cuts SC (same cuts applied in ATLAS)
- 2) BDTG Cuts



$$\mathcal{B}(\tau^\pm \rightarrow \ell^\pm \nu_\ell \nu_\tau) = 35\%,$$

$$\mathcal{B}(\tau^\pm \rightarrow \pi^\pm \nu_\tau + \text{neutral pions}) = 45.6\%,$$

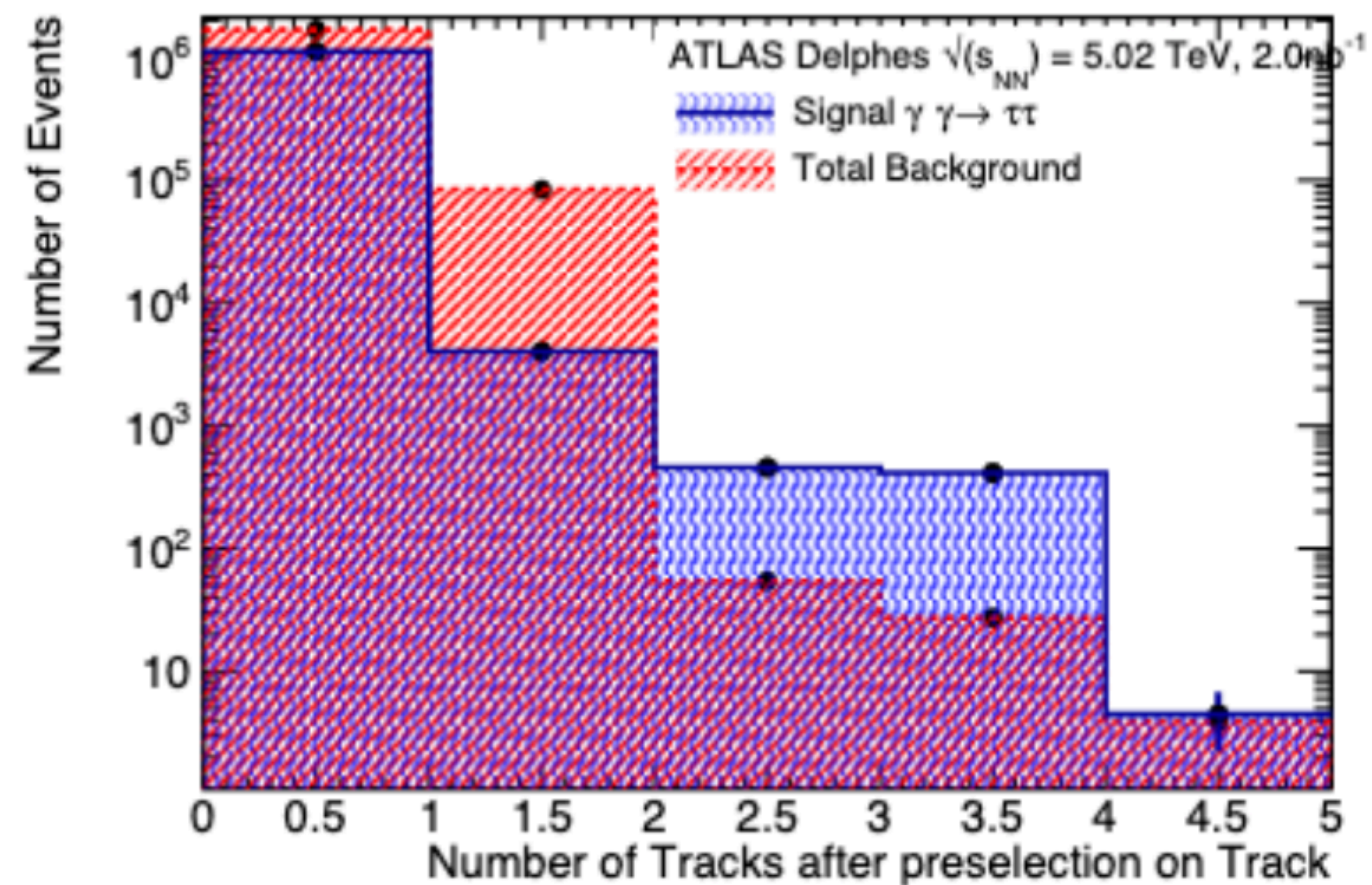
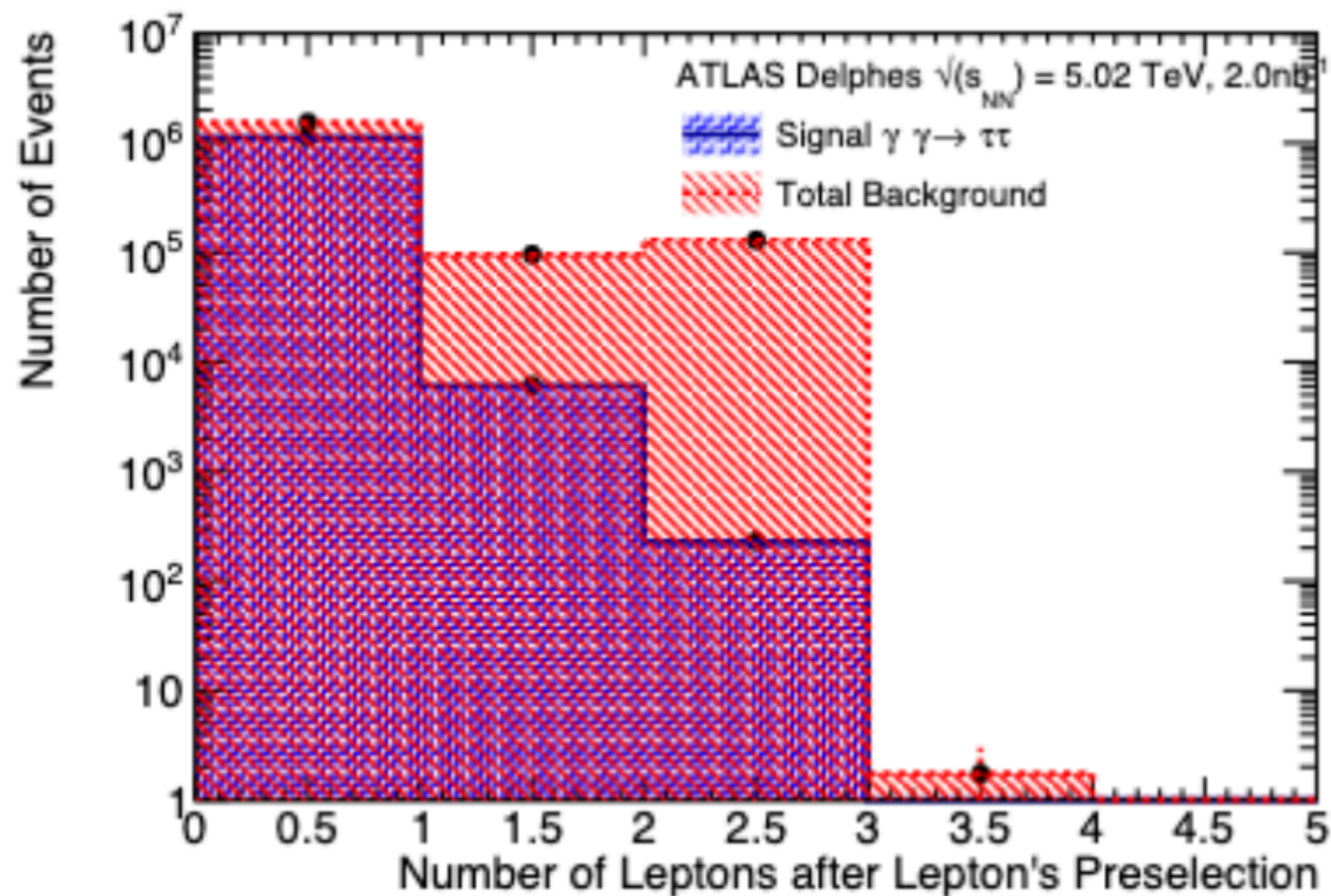
$$\mathcal{B}(\tau^\pm \rightarrow \pi^\pm \pi^\mp \pi^\pm \nu_\tau + \text{neutral pions}) = 19.4\%.$$



# Signal Region Identification

- Two Signal Regions (SRs) driven by tau decays:
  - **1 lepton + one track (1L1T)**
  - **1 lepton + three tracks (1L3T)**

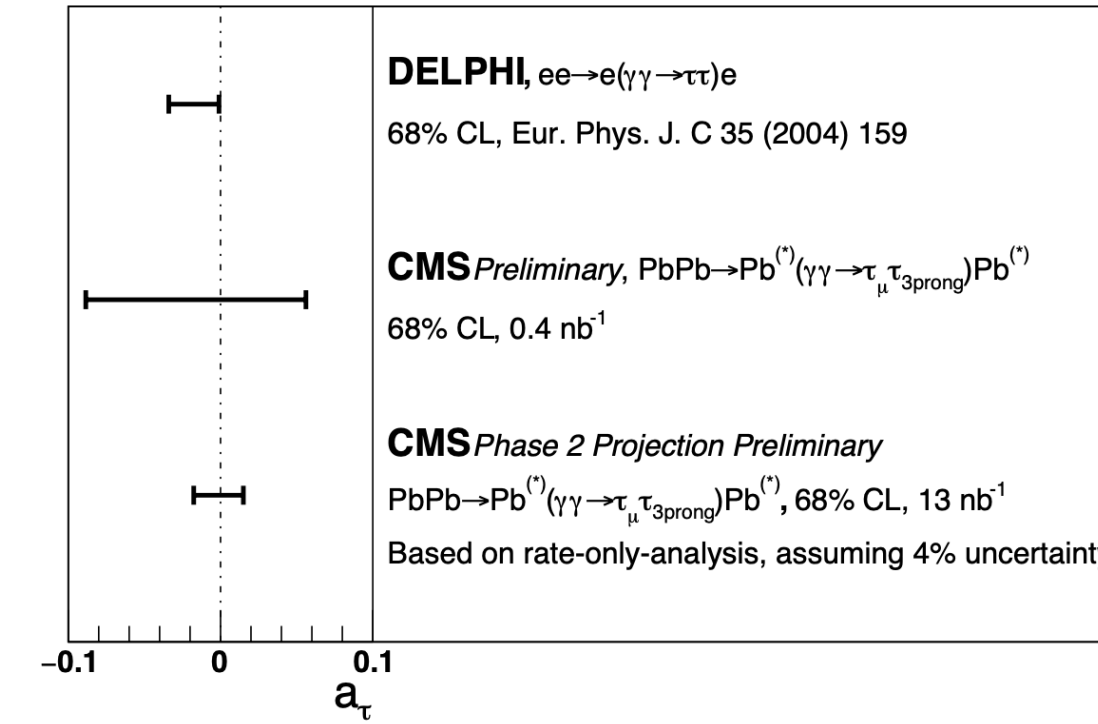
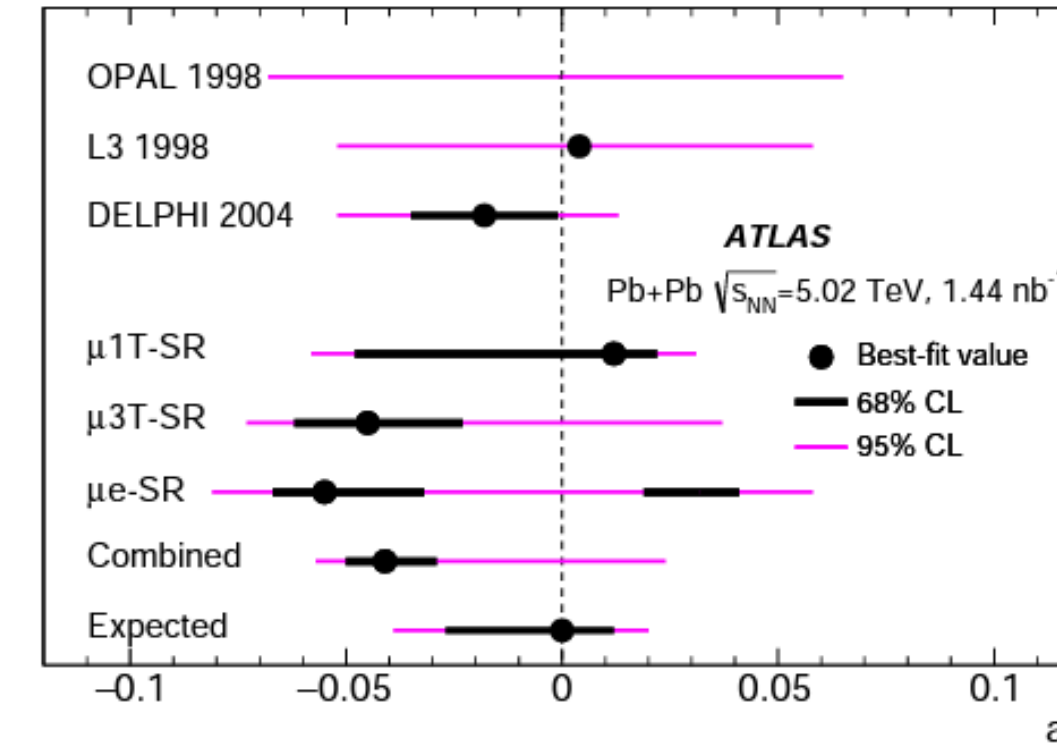
Preselection	Cuts
Electron Identification	$p_T > 4.5 \text{ GeV},  \eta  < 2.4$
Muon Identification	$p_T > 3.5 \text{ GeV},  \eta  < 2.5$
Track Identification	$p_T^{(track)} > 500 \text{ MeV},  \eta^{(track)}  < 2.5$





# Constraining $a_\tau$ with LHC

- ATLAS and CMS analyses aim to improve existing constraints on  $a_\tau = (g-2)/2$  using  $\gamma\gamma \rightarrow \tau\tau$  events produced in ultraperipheral Pb+Pb collisions.



- Analysis idea from:
  - L. Beresford, J. Liu, PRD 102 (2020) 113008
  - M. Dyndal, M. Schott, M. Klusek-Gawe... A. Szczurek, PLB 809 (2020) 135682
- Main Background
  - $\gamma\gamma \rightarrow ll$
  - $\gamma\gamma \rightarrow qq$
  - photo-nuclear events

$$\tau^\pm \rightarrow \nu_\tau + \ell^\pm + \nu_\ell \quad (\ell = e, \mu)$$

1 Lepton

$$\tau^\pm \rightarrow \nu_\tau + \pi^\pm + n\pi^0$$

1 Charged Pion

$$\tau^\pm \rightarrow \nu_\tau + \pi^\pm + \pi^\mp + \pi^\pm + n\pi^0$$

3 Charged Pions

$$\mathcal{B}(\tau^\pm \rightarrow \ell^\pm \nu_\ell \nu_\tau) = 35\%,$$

$$\mathcal{B}(\tau^\pm \rightarrow \pi^\pm \nu_\tau + \text{neutral pions}) = 45.6\%,$$

$$\mathcal{B}(\tau^\pm \rightarrow \pi^\pm \pi^\mp \pi^\pm \nu_\tau + \text{neutral pions}) = 19.4\%.$$



# Complete cut flow: $a_{\tau}$

Selection Cuts	$a_{\tau}$ -0.04	$a_{\tau}$ -0.02	$a_{\tau}$ -0.01	$a_{\tau}$ SM 0	$a_{\tau}$ +0.01	$a_{\tau}$ +0.02	$a_{\tau}$ +0.04
Total Event	1000000	1052631	1081081	1111111	1142857	1176470	1212121
Signal Region 1 Lepton and 1 Track (SR1L1T)							
1 Lepton	5828.5	5804.41	5766.66	6075.59	6113.13	6580.31	7057.2
1 Track	3917	3905.02	3923.1	4031.52	4091.79	4422.94	4804.2
$Charge_{1L1T} = 0$	3853	3845.06	3864.24	3967.14	4030.69	4349.44	4729.2
Acoplanarity < 0.4	1757.5	1811.02	1773.9	1893.11	1872.31	2029.78	2149.2
$P_T^{Muon} > 4\text{GeV}$	1320	1336.04	1318.14	1403.04	1374.4	1513.51	1596.6
$E_T^{Miss} > 1\text{GeV}$	1220.5	1237.15	1213.92	1283.16	1259.63	1392.97	1480.2
Signal Region 1 Lepton and 3 Track (SR1L3T)							
1 Lepton	5828.5	5804.41	5766.66	6075.59	6113.13	6580.31	7057.2
3 Tracks	422	410.28	371.52	416.81	433.39	450.99	488.4
$Charge_{1L3T} = 0$	420.5	409.23	369.36	416.25	431.68	450.41	487.2
$Mass_{3T} < 1.7\text{GeV}$	420	403.97	365.58	413.48	426.54	449.23	484.8
Acoplanarity < 0.2	403	383.98	345.06	390.72	403.13	420.42	459.6
$P_T^{Muon} \geq 4\text{GeV}$	344	327.70	299.7	323.01	336.32	355.74	397.8



# Complete Cut Flow

Selection	$\gamma\gamma \rightarrow \tau\tau$	$\gamma\gamma \rightarrow \mu\mu$	$\gamma\gamma \rightarrow ee$	$\gamma\gamma \rightarrow bb$	$\gamma\gamma \rightarrow cc$	$\gamma\gamma \rightarrow jj$
Total Event	1111111	869565	869565	3245.91	6557.38	7380.07
Signal Region 1 Lepton and 1 Track (SR1L1T)						
1 Lepton	6081.06	57964.6	35241.6	18.96	0.31	0.03
1 Track	4035.15	54400.6	27396.2	1.43	0.05	0
$Charge_{1L1T} = 0$	3970.71	54399.7	27395	0.88	0.02	0
Acoplanarity < 0.4	1894.81	1193.53	435.71	0.52	0.003	0
$P_T^{Muon} > 4\text{GeV}$	1404.3	746.75	435.71	0.31	0.003	0
Signal Region 1 Lepton and 3 Track (SR1L3T)						
1 Lepton	6081.06	57964.6	35241.6	18.96	0.31	0.03
3 Tracks	417.18	13.62	5.53	3.82	0.09	0.09
$Charge_{1L3T} = 0$	416.63	13.19	5.53	1.91	0.05	0
$Mass_{3T} < 1.7\text{GeV}$	413.85	5.96	2.55	0.40	0.01	0.01
Acoplanarity < 0.2	391.07	5.96	1.70	0.35	0.01	0.01
$P_T^{Muon} > 4\text{GeV}$	323.30	4.68	1.70	0.23	0.01	0.01



# Photon Flux

$$\sigma^{(Pb-Pb)}(\gamma\gamma \rightarrow \tau^+\tau^-) = \int dx_1 dx_2 N(x_1) N(x_2) \hat{\sigma}(\gamma\gamma \rightarrow \tau^+\tau^-),$$

$$N(x_i) = \frac{2Z^2\alpha}{x_i\pi} \left\{ \bar{x}_i K_0(\bar{x}_i) K_1(\bar{x}_i) - \frac{\bar{x}_i^2}{2} [K_1^2(\bar{x}_i) - K_0^2(\bar{x}_i)] \right\} \quad (1)$$

$$x_i = E_i/E_{\text{beam}}, \quad \bar{x}_i = x_i m_N b_{\text{min}}/2,$$

where, for Pb,  $Z = 82$ ,  $A = 208$ , the nucleon mass  $m_N = 0.9315$  GeV, the nucleus radius  $R_A \approx 6.09A^{1/3}$  GeV $^{-1} \approx 7$  fm,  $b_{\text{min}} \approx 2 R_A$  is the minimum impact parameter and  $K_0(K_1)$  are the modified Bessel functions of the second kind of the first (second) order.