

Search for  $B_s^0 \rightarrow \mu\mu$  and  $B_d^0 \rightarrow \mu\mu$   
at the CMS experiment

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# Overview

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# Introduction

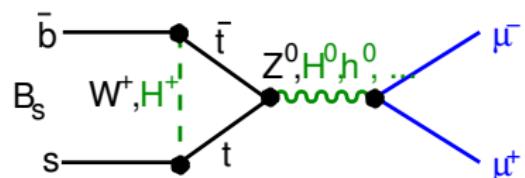
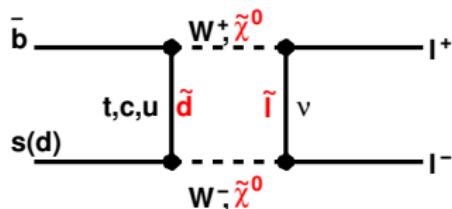
- ▶ Decay is highly suppressed in SM.

- ▶ effective FCNC, helicity suppressed.
  - ▶ SM expectation

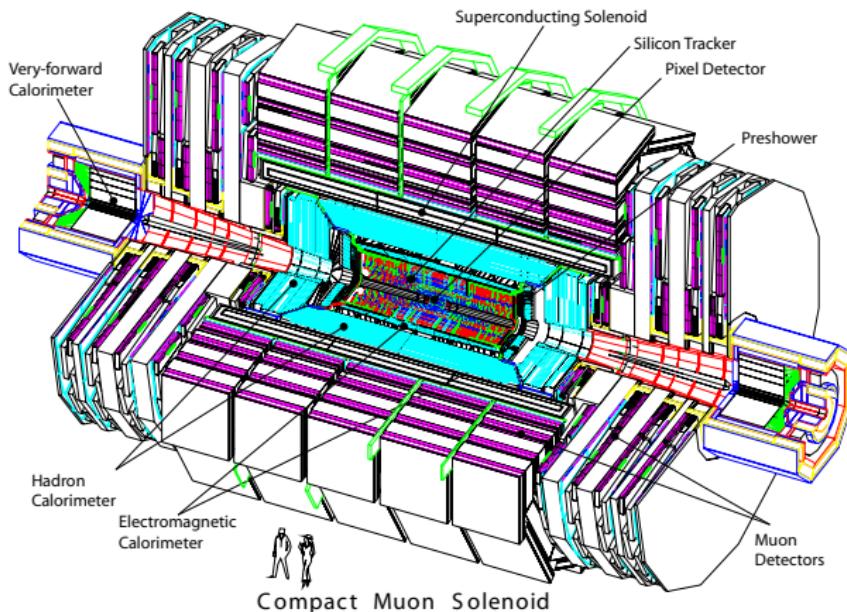
$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = (3.2 \pm 0.2) \times 10^{-9}$$
$$\mathcal{B}(B_d^0 \rightarrow \mu\mu) = (1.0 \pm 0.1) \times 10^{-10}$$

- ▶ CMS can constrain BSM **directly** and **indirectly**

- ▶ MSSM:  $\mathcal{B} \propto (\tan \beta)^6$
- ▶ Cabibbo-enhancement ( $|V_{ts}| > |V_{td}|$ ) of  $B_s^0 \rightarrow \mu\mu$  over  $B_d^0 \rightarrow \mu\mu$  only in MFV models.
- ▶  $\mathcal{B}$  could also be smaller than SM prediction.
  - Constraints on parameter region
  - Sensitivity to extended Higgs boson sectors



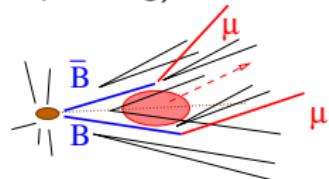
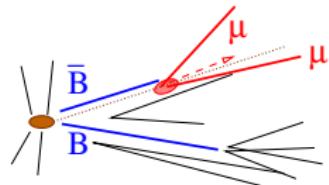
# CMS Detector



Component	Characteristics	resolutions
Pixel Tracker	3/2 Si layers 10/12 Si strips	$\delta_z \approx 20 \mu\text{m}$ , $\delta_\phi \approx 10 \mu\text{m}$ $\delta(p_\perp)/p_\perp \approx 1\%$
ECAL	PbWO <sub>4</sub>	$\delta E/E \approx 3\%/\sqrt{E} \oplus 0.5\%$
HCAL (B)	Brass / Sc, > 7.2λ	$\delta E/E \approx 100\sqrt{E}\%$
HCAL (F)	Fe/Quartz	$\delta(\cancel{E}_T) \approx 0.98\sqrt{\sum E_T}$
Magnet	3.8 T solenoid	
Muons	DT / CSC + RPC	$\delta(p_\perp)/p_\perp \approx 10\%\text{(STA)}$

# Analysis overview

- ▶ Signal signature
  - ▶ two muons from one decay vertex
  - ▶ dimuon mass around  
 $m_{B_s^0} = (5.3663 \pm 0.0006) \text{ GeV}$
- ▶ Background composition
  - ▶ two independent semileptonic  $B$  decays
  - ▶ one semileptonic ( $B$ ) decay and one misidentified hadron
  - ▶ rare single  $B$  decays (peaking and non-peaking)
- ▶ Most powerful variables
  - ▶ Isolation of  $B$  candidate
  - ▶ good vertex fit
  - ▶ small pointing angle
  - ▶ high flight length significance  $\ell_{3d}/\sigma_{3d}$
  - ▶  $d_{ca}$  of closest track near SV



## Analysis methodology

- ▶ Measure the branching fraction  $B_{s(d)}^0 \rightarrow \mu\mu$

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = \frac{N(B_s^0 \rightarrow \mu\mu)}{N(B_s^0)} = \frac{N(B_s^0 \rightarrow \mu\mu)}{f_s \sigma_b \mathcal{L}} = \frac{N^{\text{obs}}(B_s^0 \rightarrow \mu\mu)}{\varepsilon^{B_s^0} f_s \sigma_b \mathcal{L}}$$

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- ▶ Replace  $\sigma_b \mathcal{L}$  using a well measured branching fraction with similar signal topology

## Analysis methodology

- ▶ Measure the branching fraction  $B_{s(d)}^0 \rightarrow \mu\mu$  using a normalization channel

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu; 95\% C.L.) = \frac{N(n_{obs}, n_B)}{N(B^\pm \rightarrow J/\psi K^\pm)} \frac{f_u}{f_s} \frac{\varepsilon^{B^\pm}}{\varepsilon^{B_s^0}} \mathcal{B}(B^\pm \rightarrow J/\psi(\mu^+ \mu^-) K^\pm)$$

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- ▶  $B^\pm \rightarrow J/\psi K^\pm$  has similar decay topology and is well measured.

## Analysis methodology

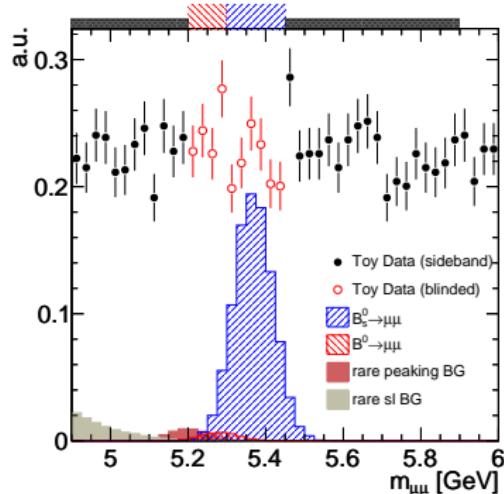
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- ▶  $B^\pm \rightarrow J/\psi K^\pm$  has similar decay topology and is well measured.
- ▶ Systematics on efficiencies affect the signal and normalization channel in similar way, hence should largely cancel.

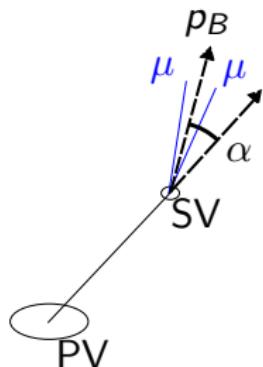
## Event selection

- ▶ Vertexing pairs of muons and fill in histogram
- ▶ **Blind analysis:** Everything of the analysis was set **before** looking at the number of entries in the signal region.
  - ⇒ No signal candidates were reconstructed in the mass range  $5.2 \text{ GeV} < m_{\mu\mu} < 5.45 \text{ GeV}$
- ▶ Avoid bias
- ▶ Avoid overtuning
- ▶ Tradition in field
- ▶ Sideband was used to study the background in data.



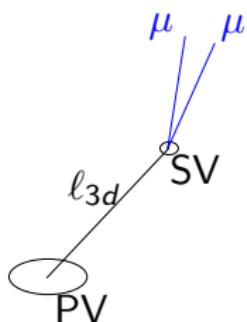
## Candidate variables

- ▶ pointing angle  $\alpha(\vec{P}_B, \vec{SV} - \vec{PV})$ .



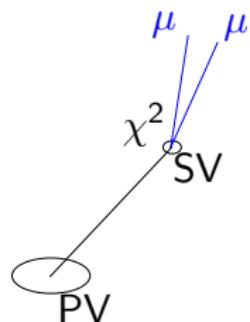
## Candidate variables

- ▶ pointing angle  $\alpha(\vec{P}_B, \vec{SV} - \vec{PV})$ .
- ▶ flight length in three-dimensional space ( $\ell_{3d}$ ) and its error ( $\sigma_{3d}$ ).



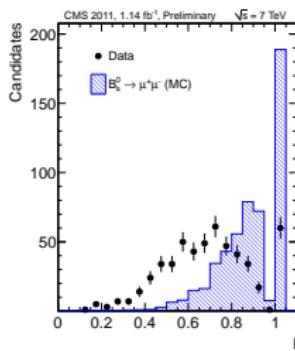
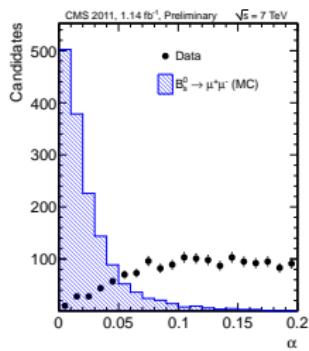
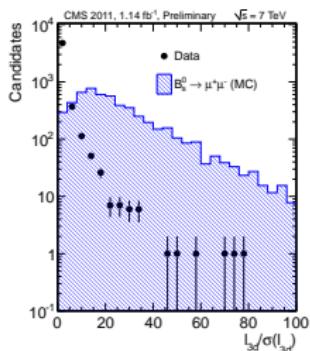
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- ▶ pointing angle  $\alpha(\vec{P}_B, \vec{SV} - \vec{PV})$ .
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- ▶  $\chi^2$  of secondary vertex fit.



# Candidate variables

- ▶ pointing angle  $\alpha(\vec{P}_B, \vec{SV} - \vec{PV})$ .
- ▶ flight length in three-dimensional space ( $\ell_{3d}$ ) and its error ( $\sigma_{3d}$ ).
- ▶  $\chi^2$  of secondary vertex fit.
- ▶ Isolation (see next slide).



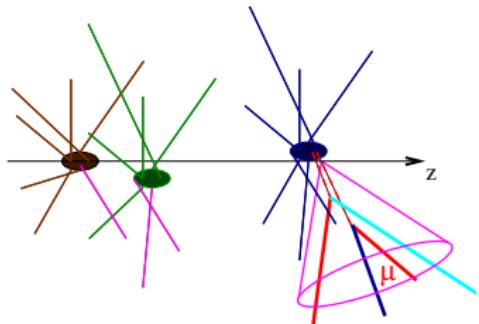
# Isolation

- ▶ Isolation ( $I$ ) defined as

$$I = \frac{p_{\perp}(B_s^0)}{p_{\perp}(B_s^0) + \sum_{\text{trk}} p_{\perp}},$$

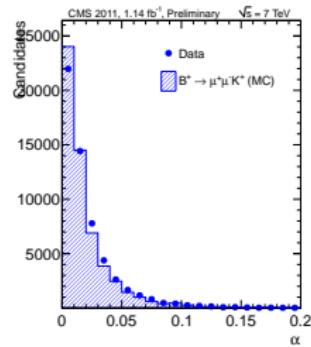
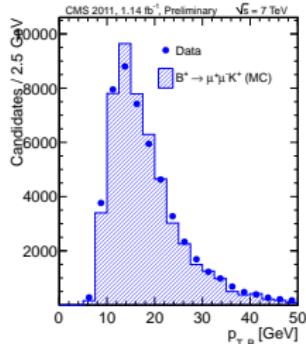
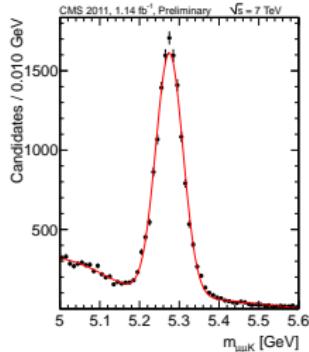
where the sum over tracks in cone around  $\vec{p}_B$  with track

- ▶ not part of the  $B_s^0$  candidate
- ▶ from same PV as the  $B_s^0$  candidate or close to secondary vertex.



# Normalization channel: $B^\pm \rightarrow J/\psi(\mu^+\mu^-)K^\pm$

- ▶ Combine two muons with a track to form candidates.
- ▶ Compare MC simulation with data.

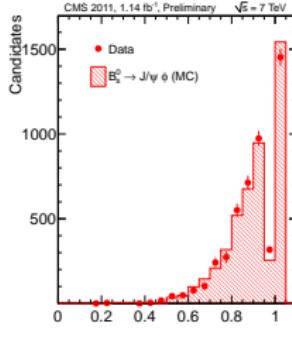
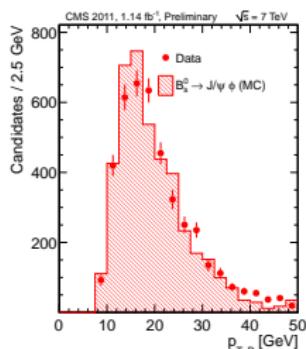
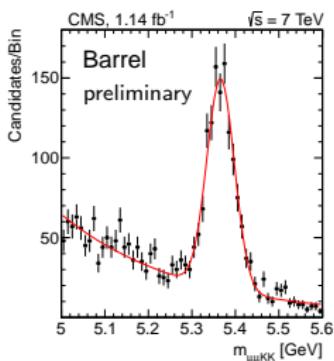


# Control Sample: $B_s^0 \rightarrow J/\psi(\mu^+\mu^-)\phi(K^+K^-)$

- ▶ Recall master formula

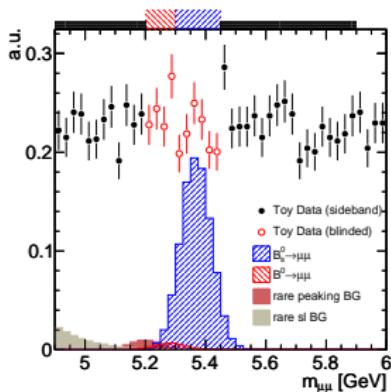
$$\mathcal{B}(B_s^0 \rightarrow \mu\mu; 95\% C.L.) = \frac{N(n_{obs}, n_B)}{N(B^\pm \rightarrow J/\psi K^\pm)} \frac{f_u}{f_s} \frac{\varepsilon^{B^\pm}}{\varepsilon^{B_s^0}} \mathcal{B}(B^\pm \rightarrow J/\psi(\mu^+\mu^-)K^\pm)$$

- ▶ Measure  $B_s^0 \rightarrow J/\psi\phi$  to validate exclusive  $B_s^0$  decay.



# Background estimation

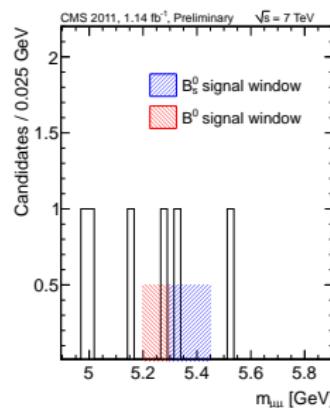
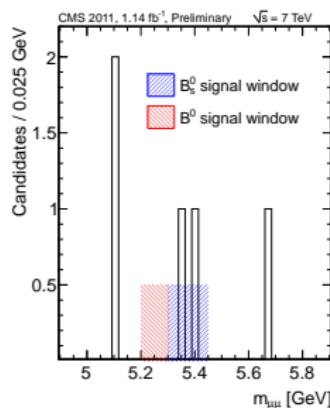
- ▶ Background in signal window estimated from sidebands by linear interpolation.
- ▶ Investigate shape of background (by loosening cuts) and get uncertainty for linear interpolation.



# $B \rightarrow \mu\mu$ results

## Expectations and observations

Variable	$B_s^0 \rightarrow \mu\mu$ Barrel	$B_d^0 \rightarrow \mu\mu$ Barrel	$B_s^0 \rightarrow \mu\mu$ Endcap	$B_d^0 \rightarrow \mu\mu$ Endcap
$N_{\text{signal}}^{\text{exp}}$	$0.80 \pm 0.16$	$0.065 \pm 0.011$	$0.36 \pm 0.16$	$0.025 \pm 0.004$
$N_{\text{bg}}^{\text{exp}}$	$0.60 \pm 0.35$	$0.40 \pm 0.23$	$0.80 \pm 0.40$	$0.53 \pm 0.27$
$N_{\text{peak}}^{\text{exp}}$	$0.071 \pm 0.020$	$0.245 \pm 0.056$	$0.044 \pm 0.011$	$0.158 \pm 0.039$
$N_{\text{s+b}}^{\text{exp}}$	$1.471 \pm 0.385$	$0.71 \pm 0.24$	$1.204 \pm 0.431$	$0.713 \pm 0.273$
$N_{\text{obs}}$	2	0	1	1



# Upper limits

- ▶ SM values

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = (3.2 \pm 0.2) \times 10^{-9}$$

$$\mathcal{B}(B_d^0 \rightarrow \mu\mu) = (1.0 \pm 0.1) \times 10^{-10}$$

- ▶ upper limits with CL<sub>s</sub>

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) < 1.9 \times 10^{-8} \quad (95\% \text{ C.L.})$$

$$\mathcal{B}(B_d^0 \rightarrow \mu\mu) < 4.6 \times 10^{-9} \quad (95\% \text{ C.L.})$$

- ▶ Expected upper limits for our measurement of  $B_s^0 \rightarrow \mu\mu$

$$\text{bkg only: } (1.45_{-0.48}^{+0.52}) \times 10^{-8}$$

$$\text{SM: } (1.88_{-0.77}^{+0.67}) \times 10^{-8}$$

- ▶  $p$  values for background only

$$B_s^0 \rightarrow \mu\mu : 0.11 (= 1.20\sigma)$$

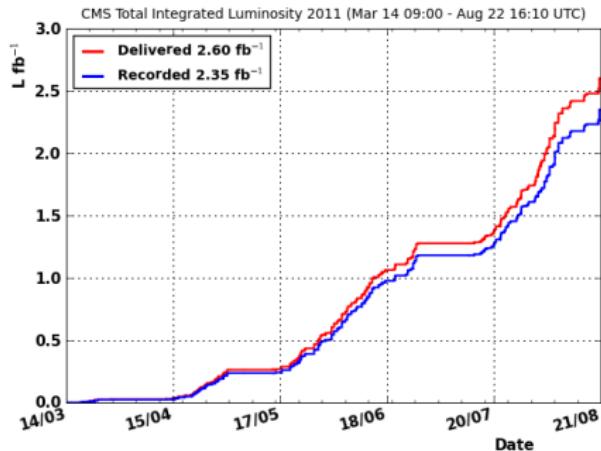
$$B_d^0 \rightarrow \mu\mu : 0.40 (= 0.27\sigma)$$

- ▶ CMS+LHCb combination

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) < 1.1 \times 10^{-8}$$

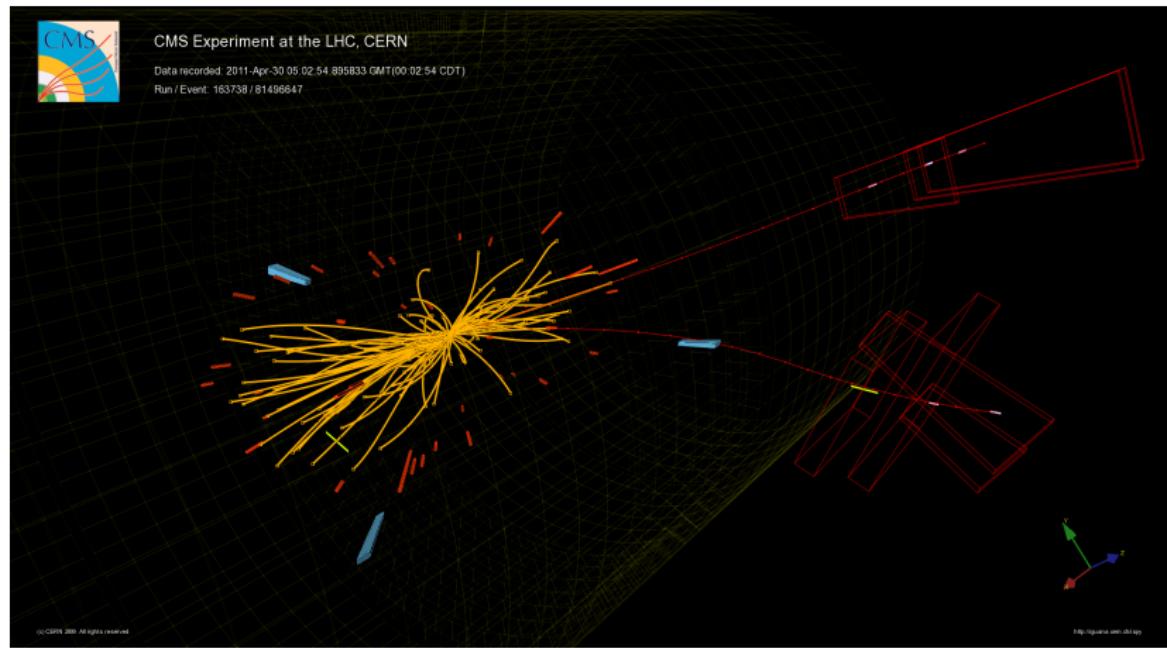
# Outlook

- ▶ Luminosity increases



- ▶ More advanced analysis. Switch from 'Cut & Count' to MVA.
- ▶ Improvements within analysis

# Candidate



Thank you for your attention