

# QGP signals in small systems

Non-Perturbative and Topological Aspects of QCD

May 28th, 2024

Katarína Křížková Gajdošová



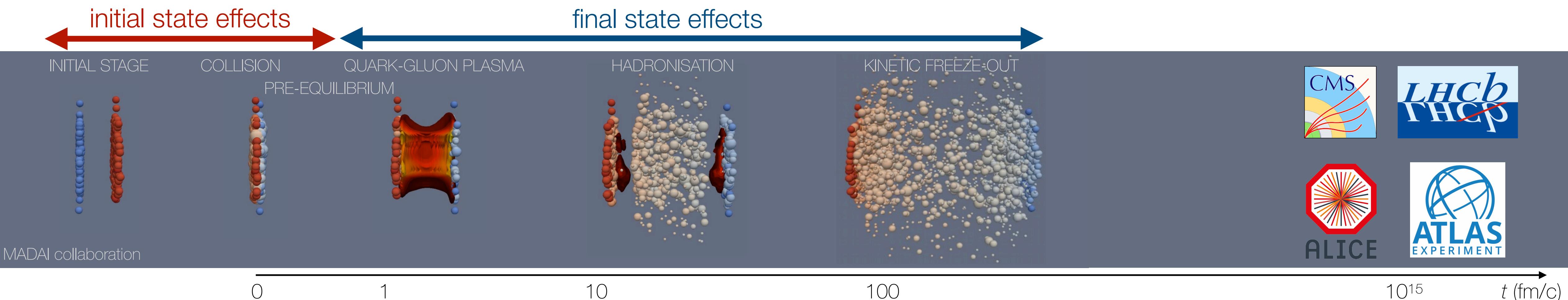
Czech Technical University in Prague



This work was supported by a grant from The Czech Science Foundation, grant number: 23-07499S

# Creation of quark-gluon plasma in large systems

**Quark-gluon plasma** (QGP) = **deconfined strongly-interacting** QCD matter with color degrees of freedom



## Collectively expanding

### Signatures:

modification of momentum and angular distributions

### Measurements:

anisotropic flow

## Thermalised medium

### Signatures:

modification of hadronisation thermal photon radiation

### Measurements:

particle yields  
particle spectra

## Dense & deconfined medium

### Signatures:

parton energy loss  
quarkonia dissociation

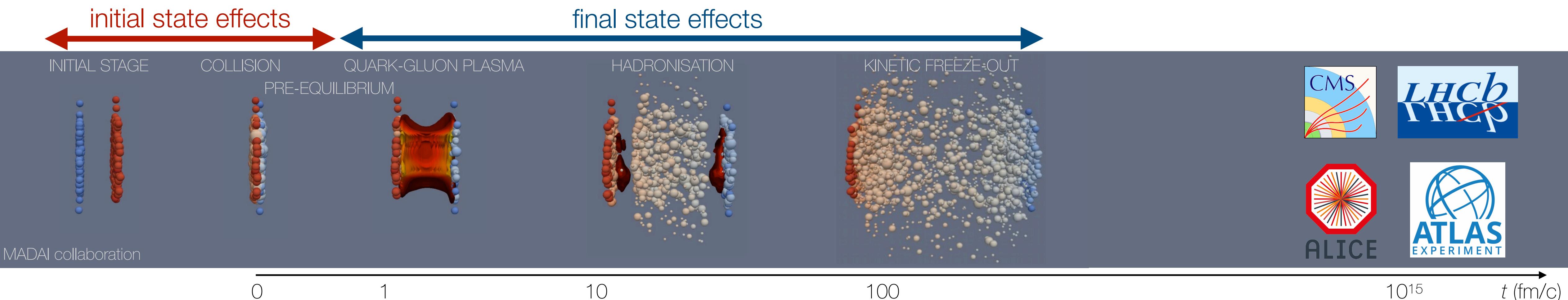
### Measurements:

nuclear modification factor



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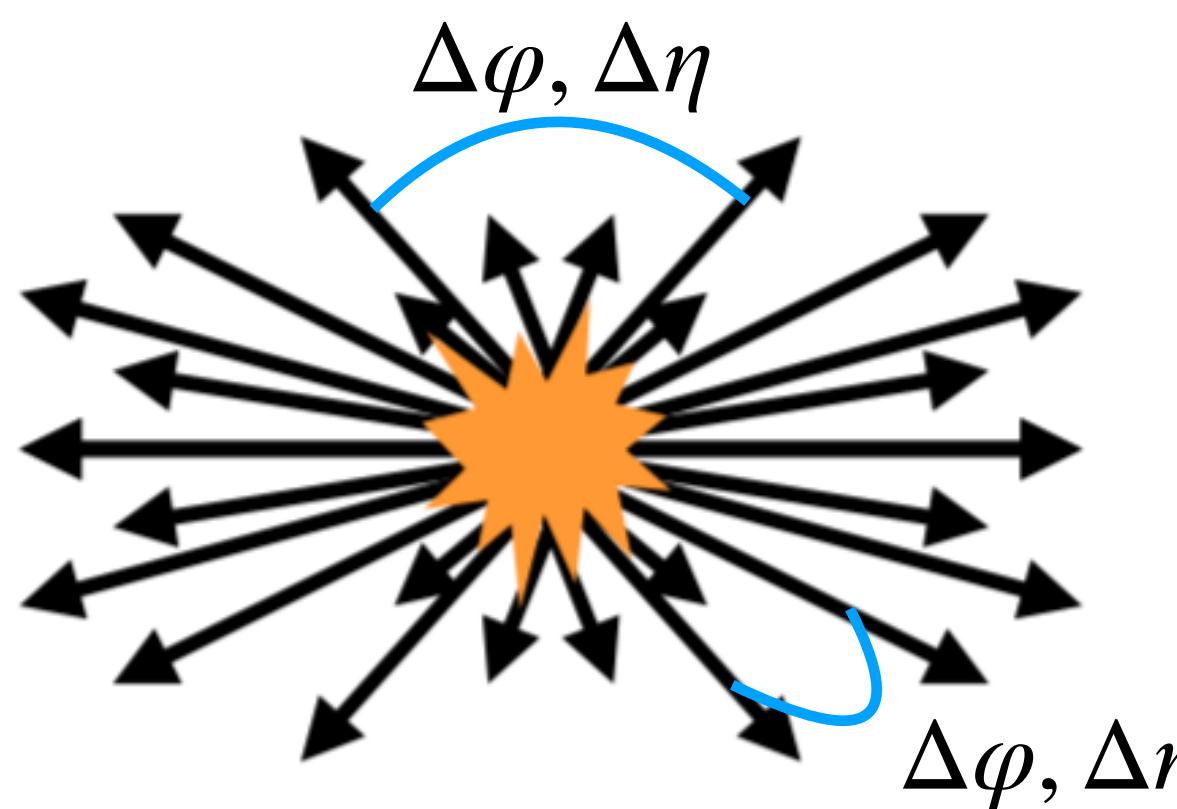
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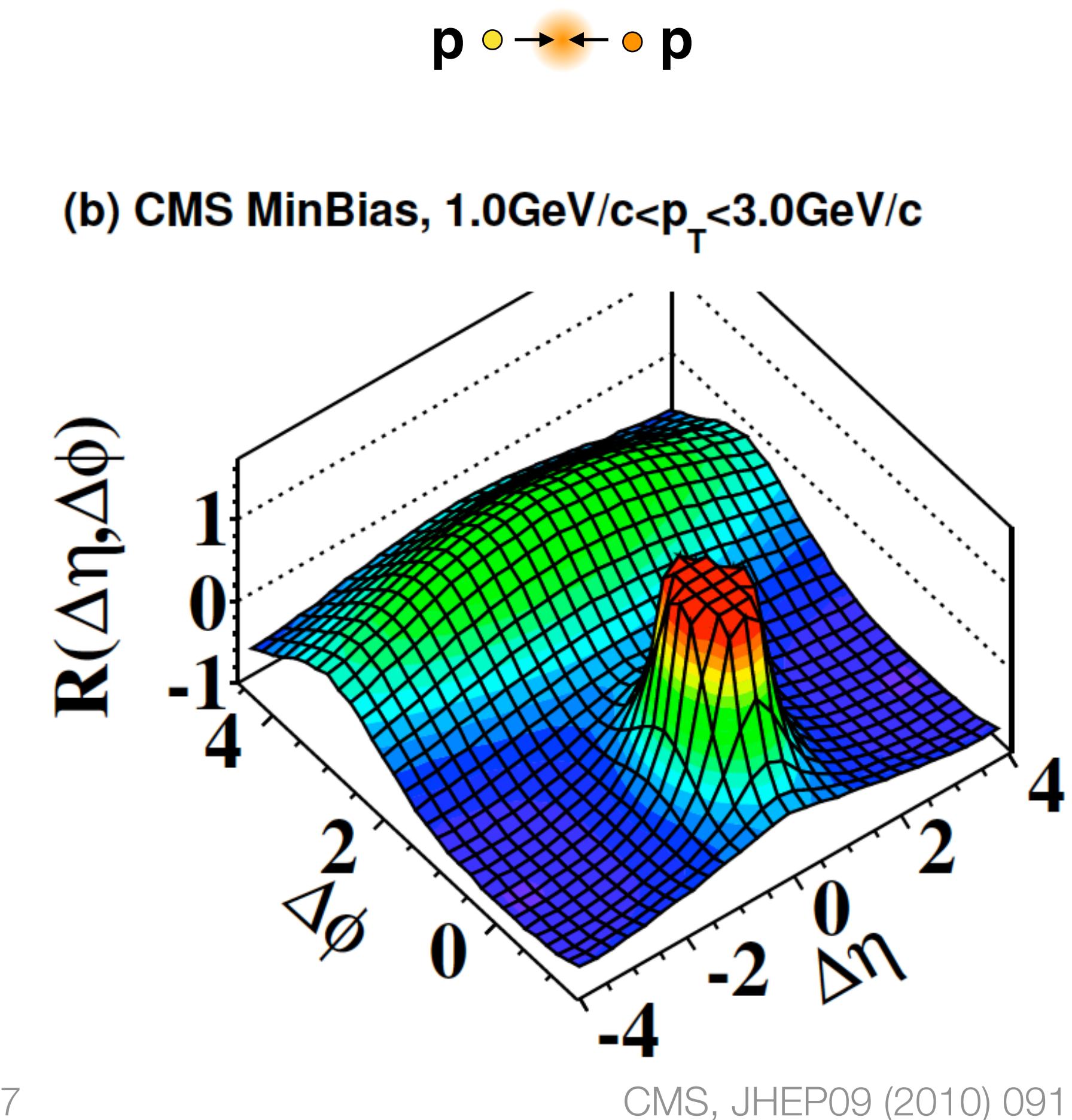
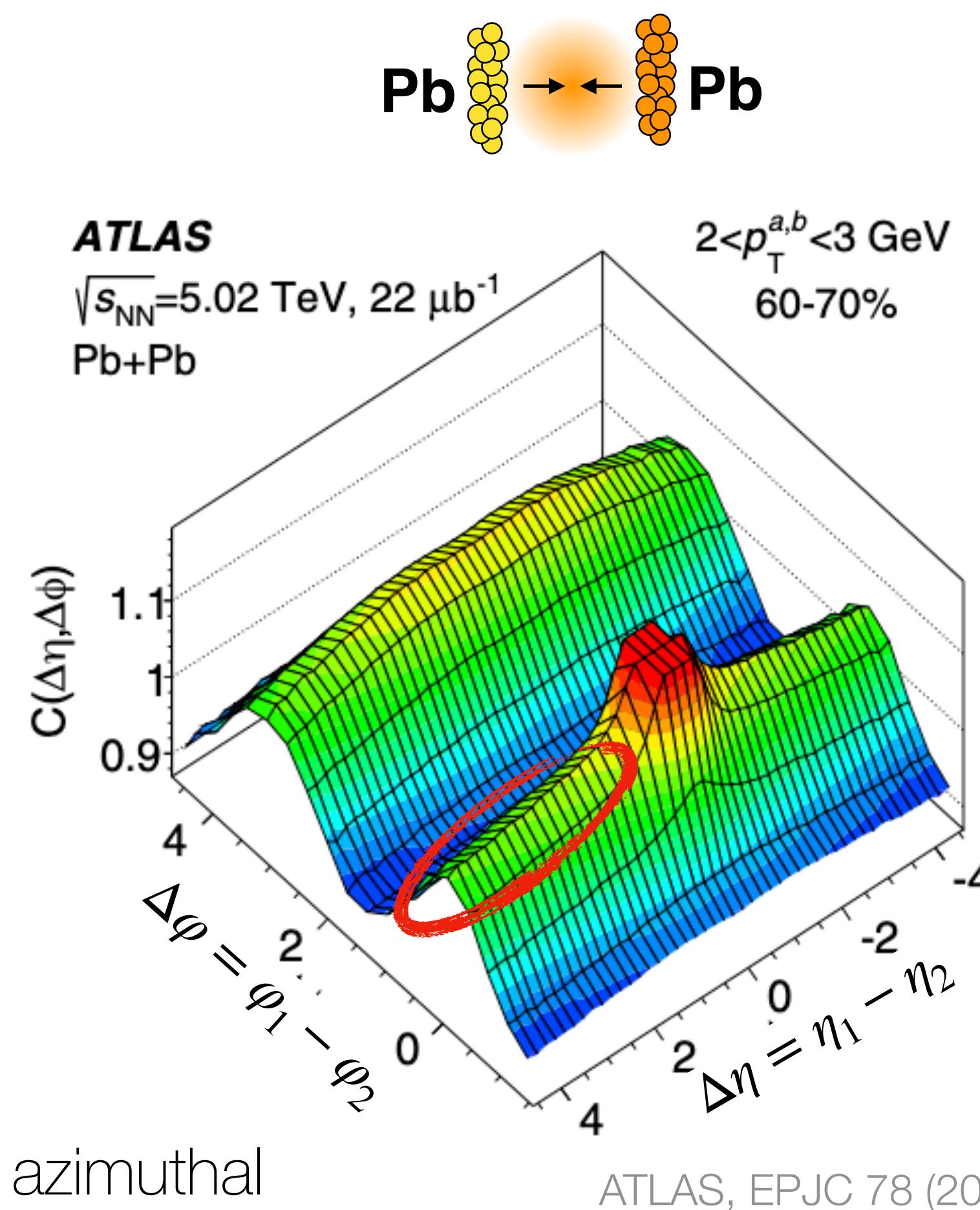
### Measurements:

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# Near-side ridge: consequence of QGP



**Near-side long-range ridge** in azimuthal correlations between two particles

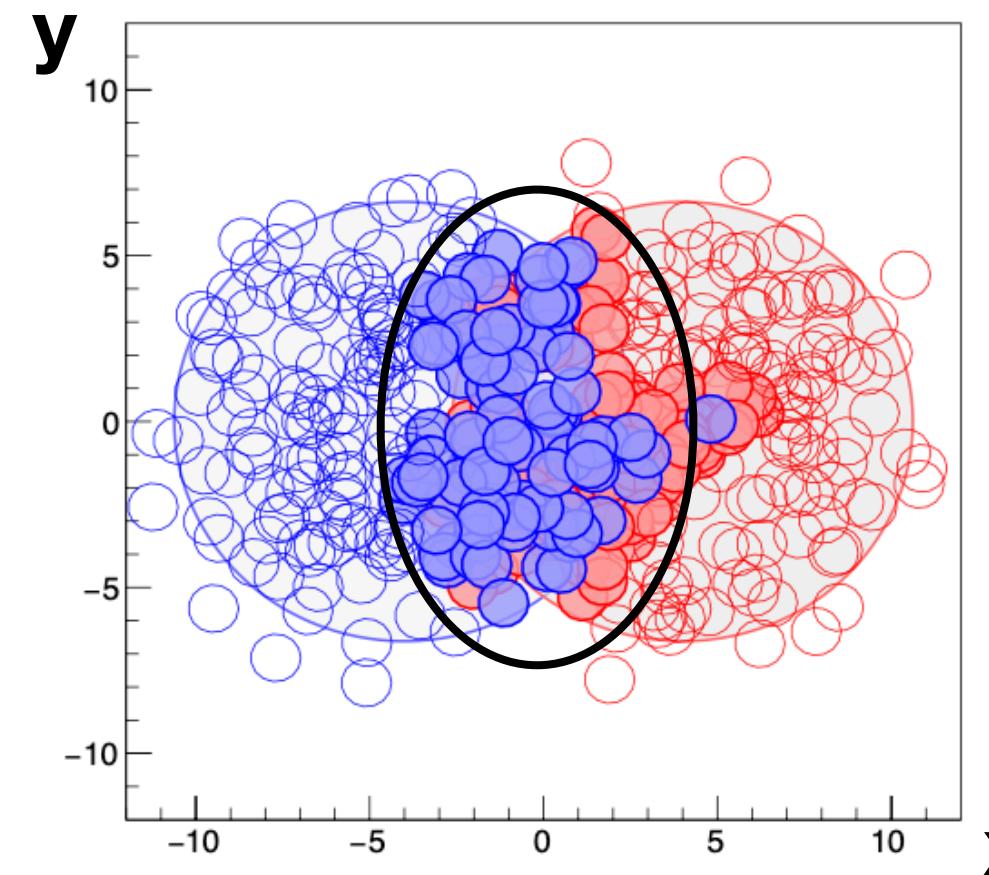


Direct consequence of **the presence of the QGP**

# Anisotropic flow: response to geometry

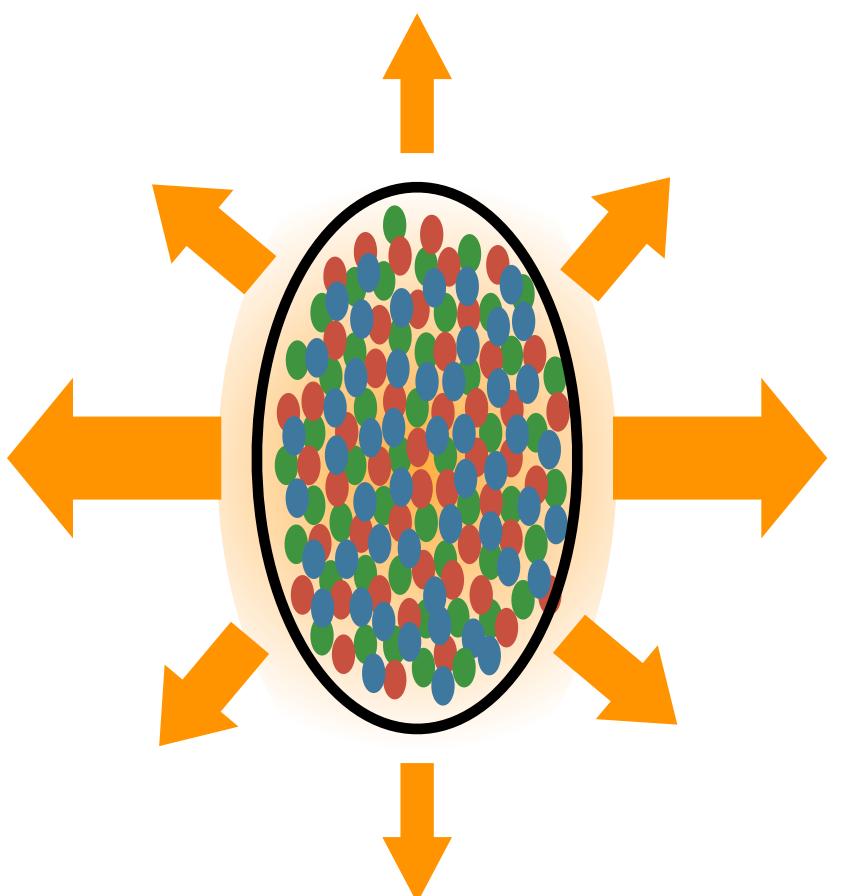
1

Initial spatial asymmetry



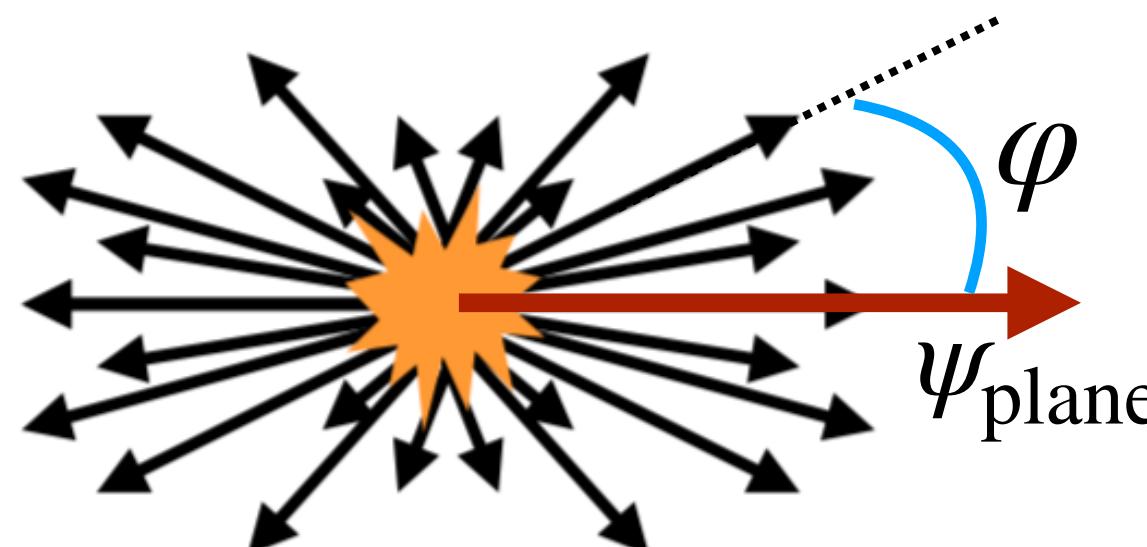
2

collectively expanding medium



3

Particles are emitted with preferred direction



4

Angular modulation of their distribution

$$\frac{dN}{d\varphi} \propto 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\varphi - \Psi_n)]$$

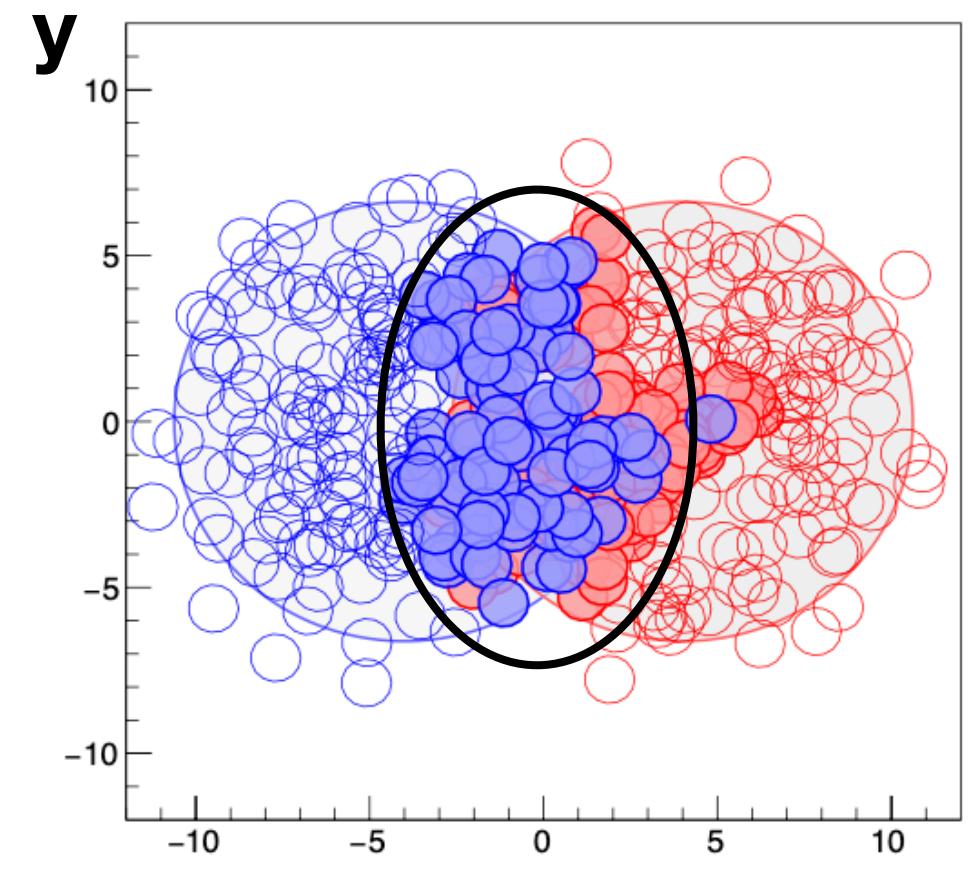
**anisotropic flow**

Quantifies how strong is particle correlation with symmetry plane  $\Psi_n$

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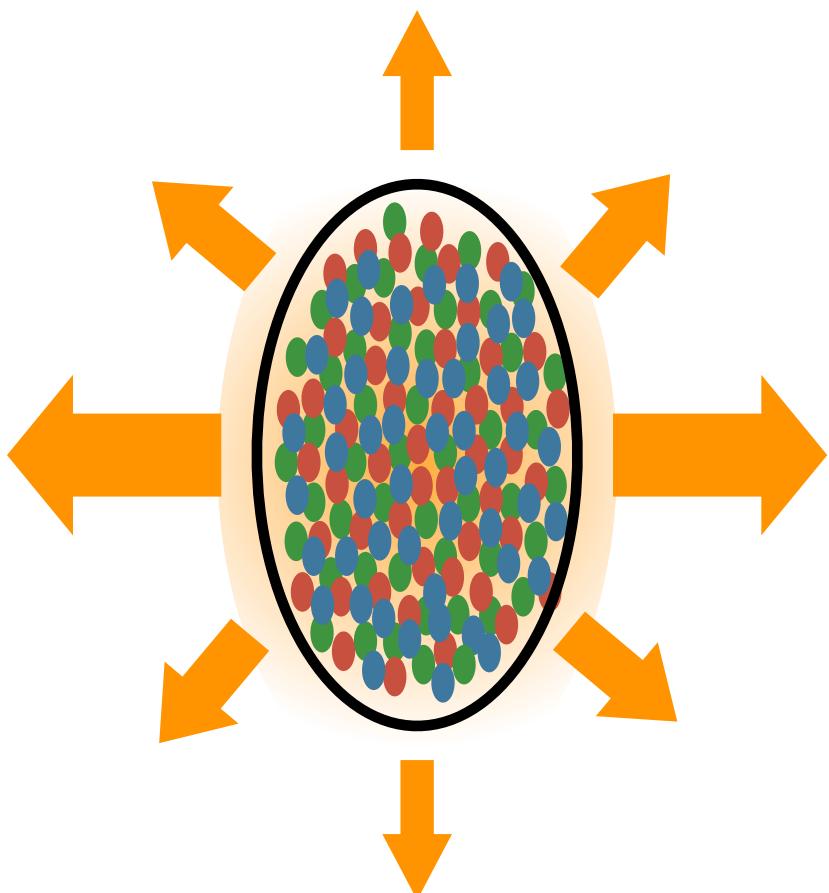
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Initial spatial asymmetry



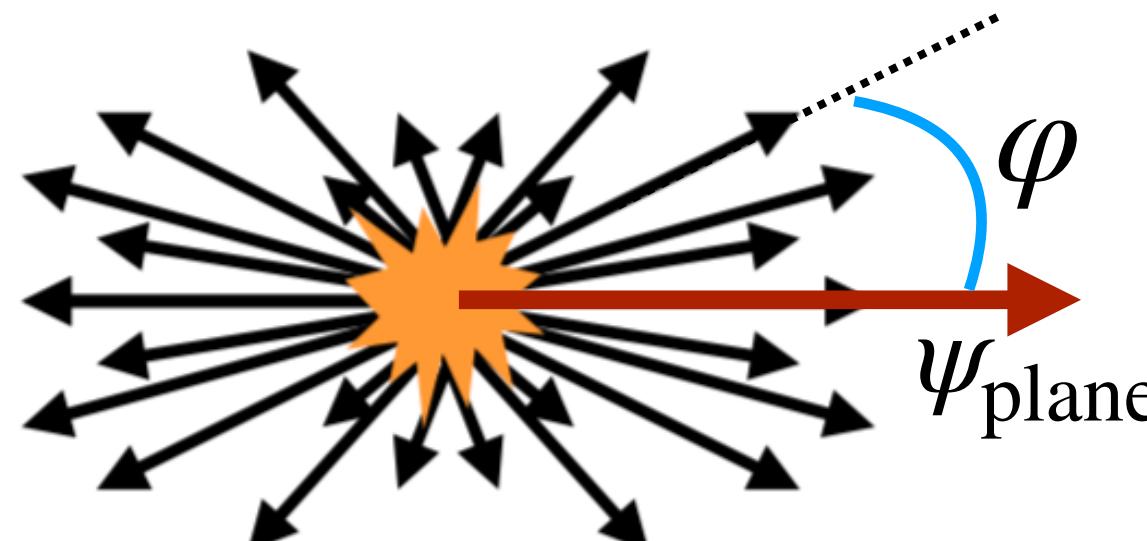
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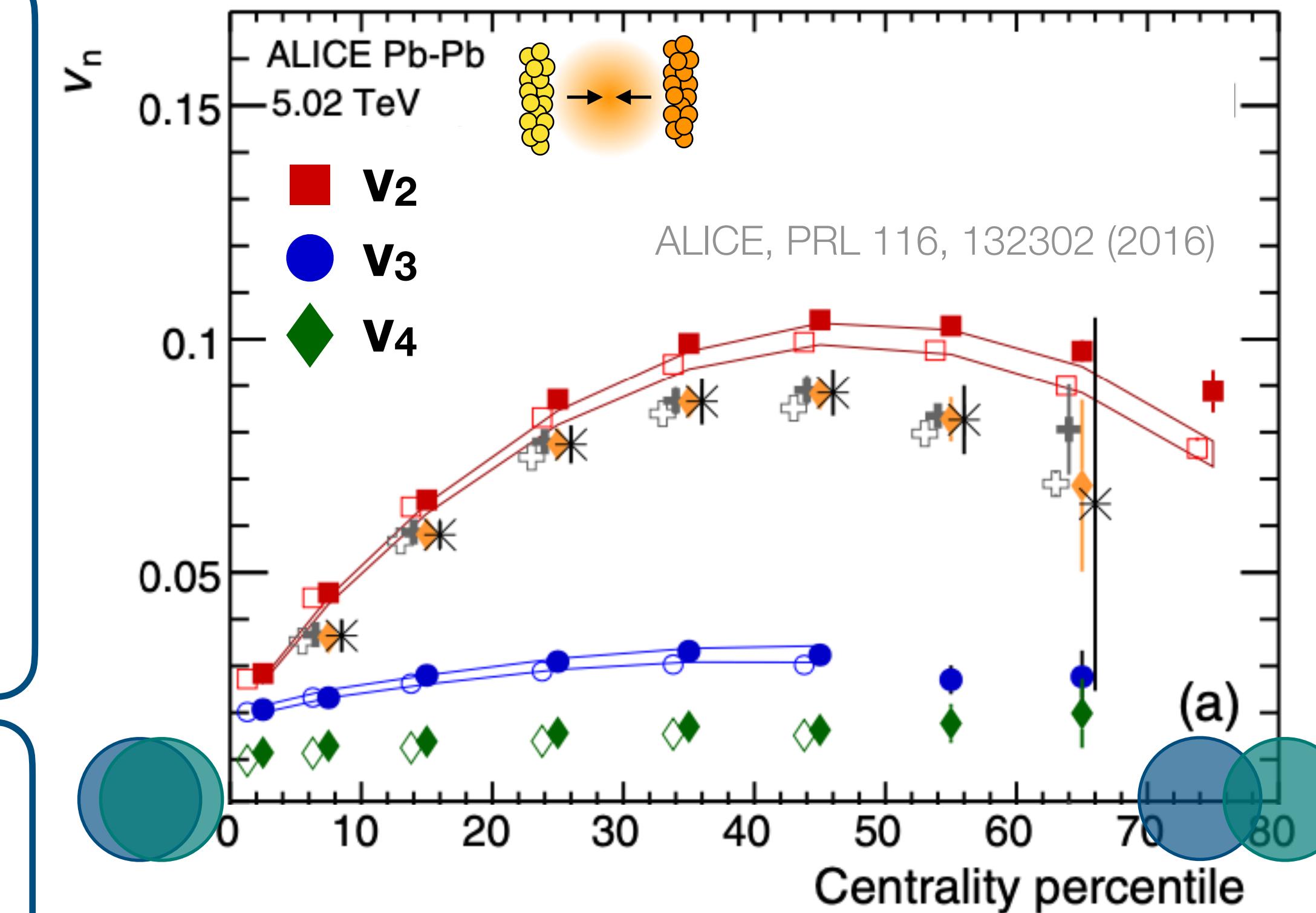
4

Angular modulation of their distribution

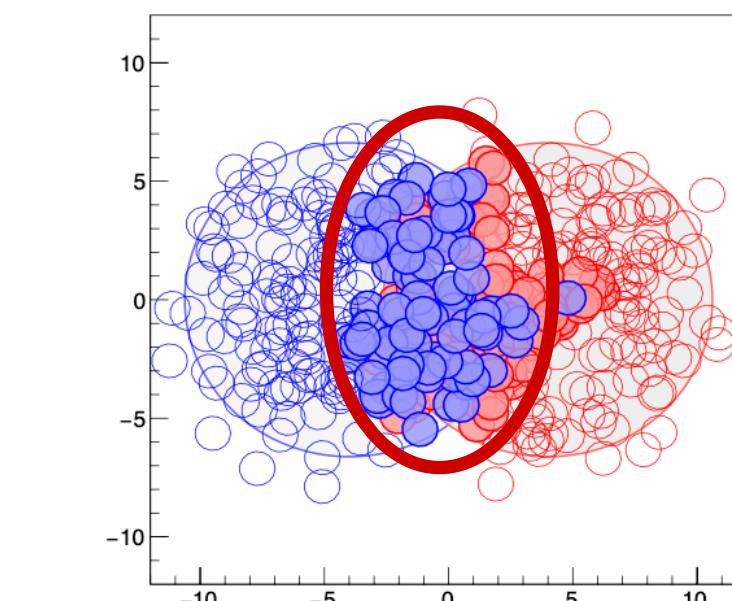
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**anisotropic flow**

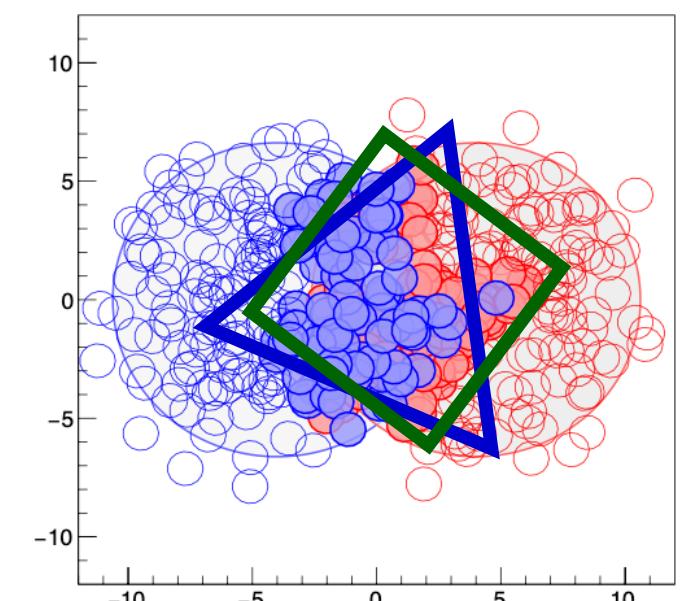
Quantifies how strong is particle correlation with symmetry plane  $\Psi_n$



$v_2 \leftarrow$  elliptical geometry

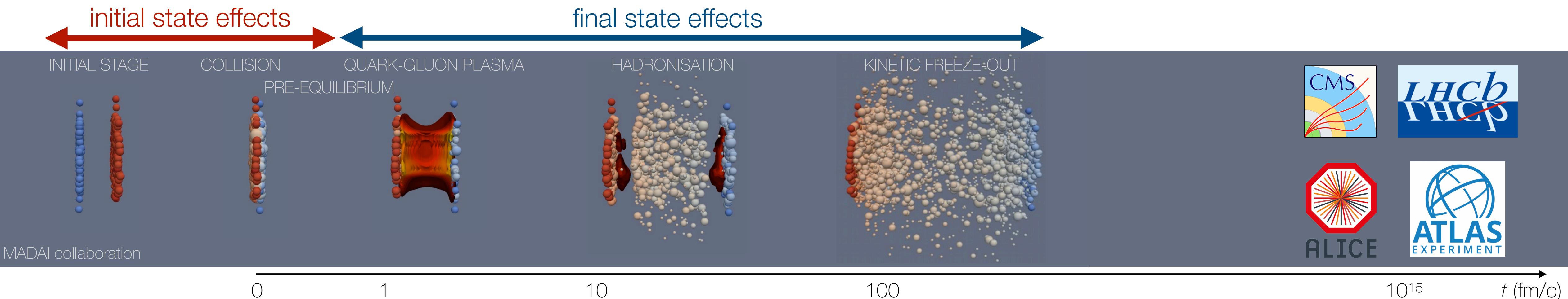


$v_3, v_4 \leftarrow$  geometry fluctuations



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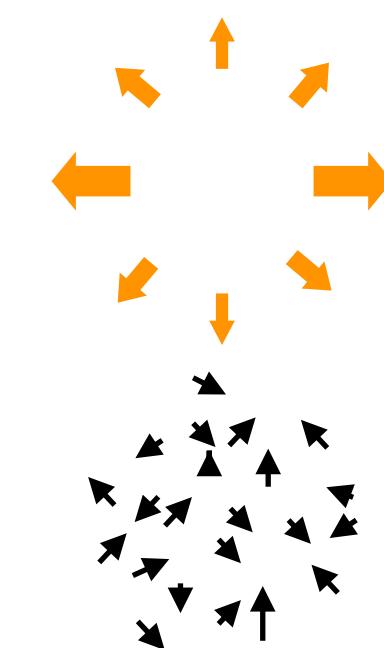
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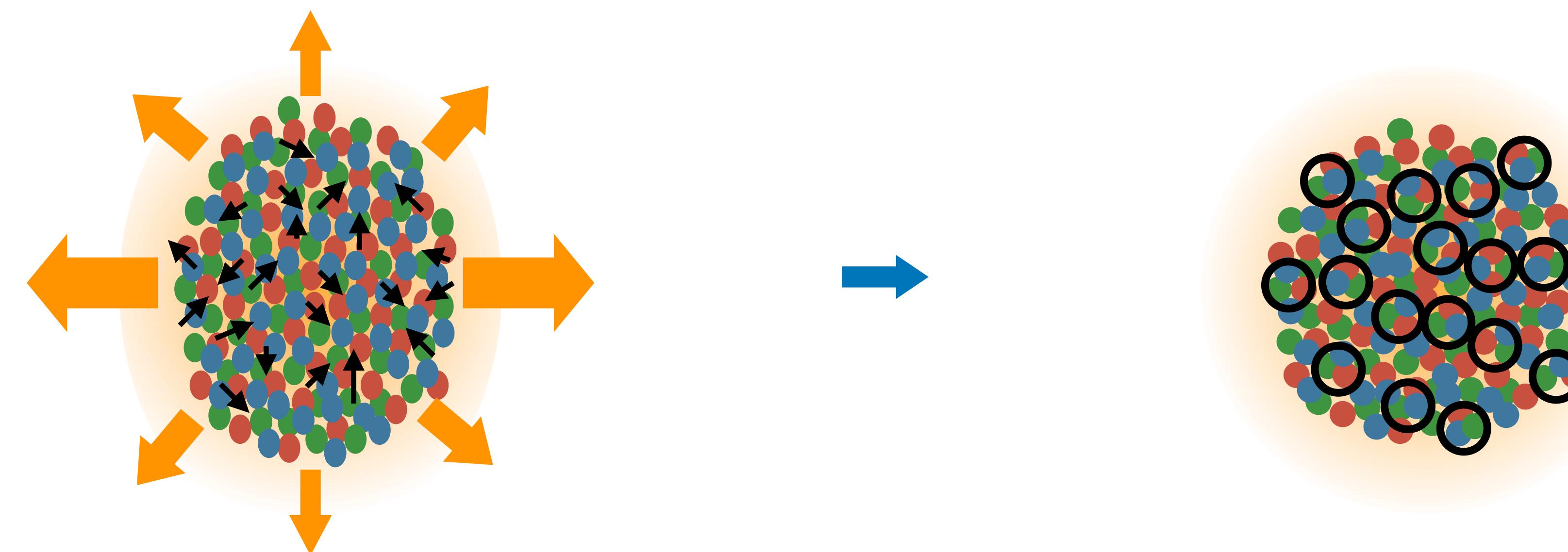
nuclear modification factor

# QGP expansion and hadronisation



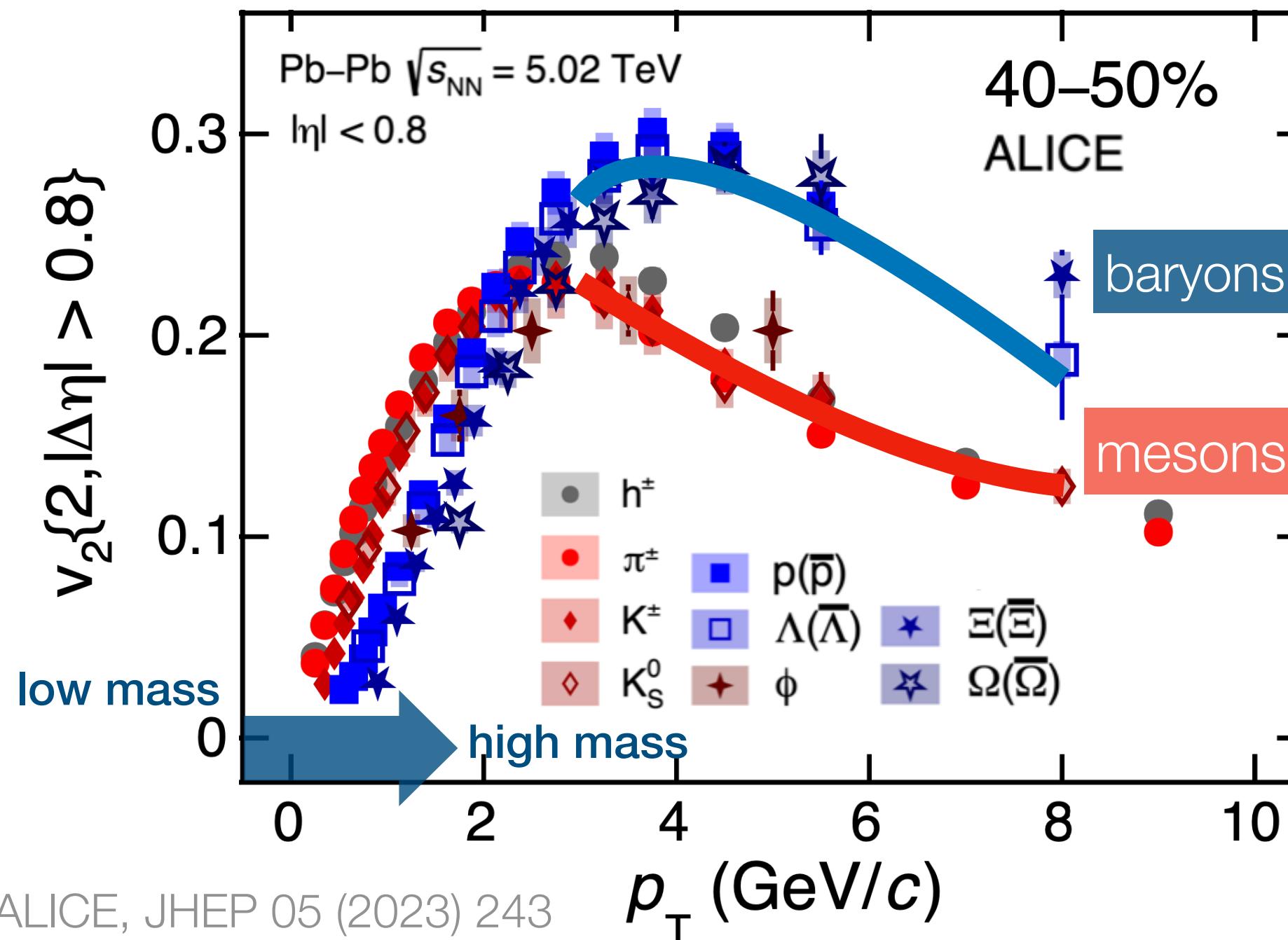
**Collective anisotropic** medium expansion  
+  
**Thermal isotropic** medium expansion  
→ constituents **flow with similar velocity**

Modified hadron formation mechanism  
→ near-by partons **coalesce into hadrons**

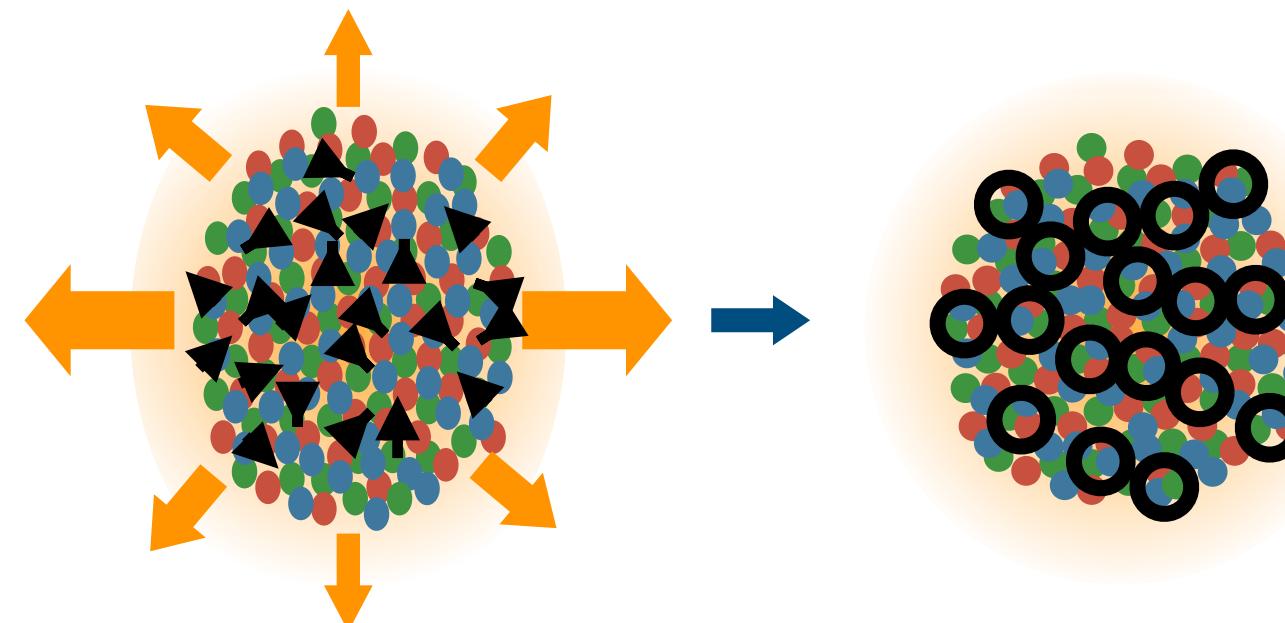


Interplay of these effects results in **mass-dependent** momentum distributions

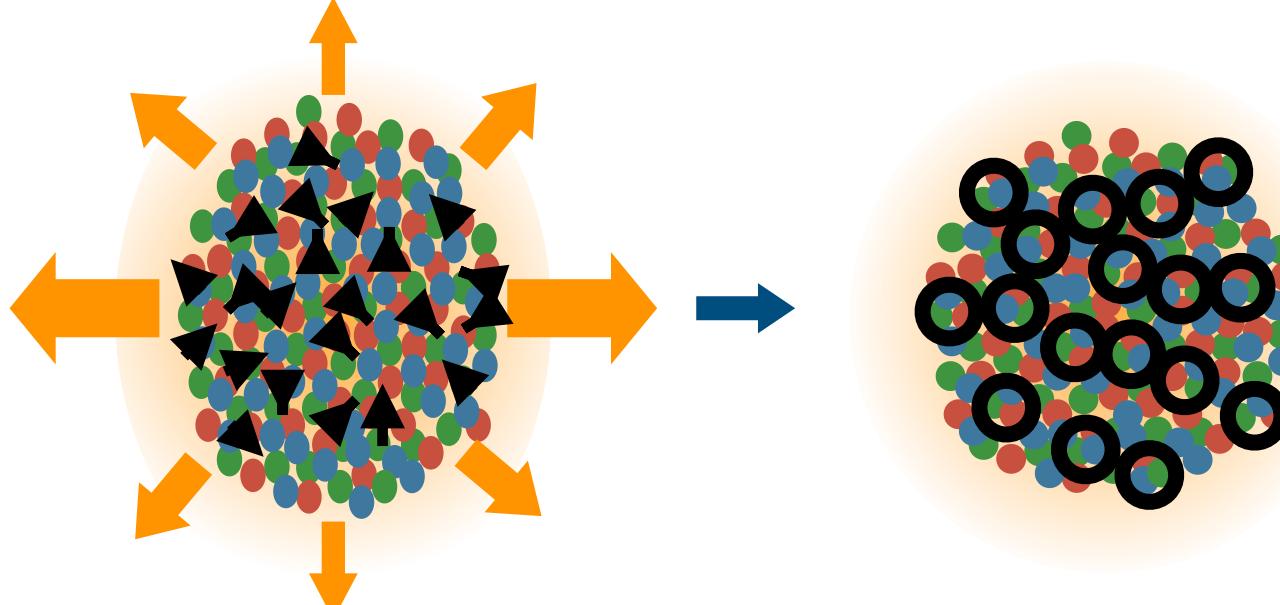
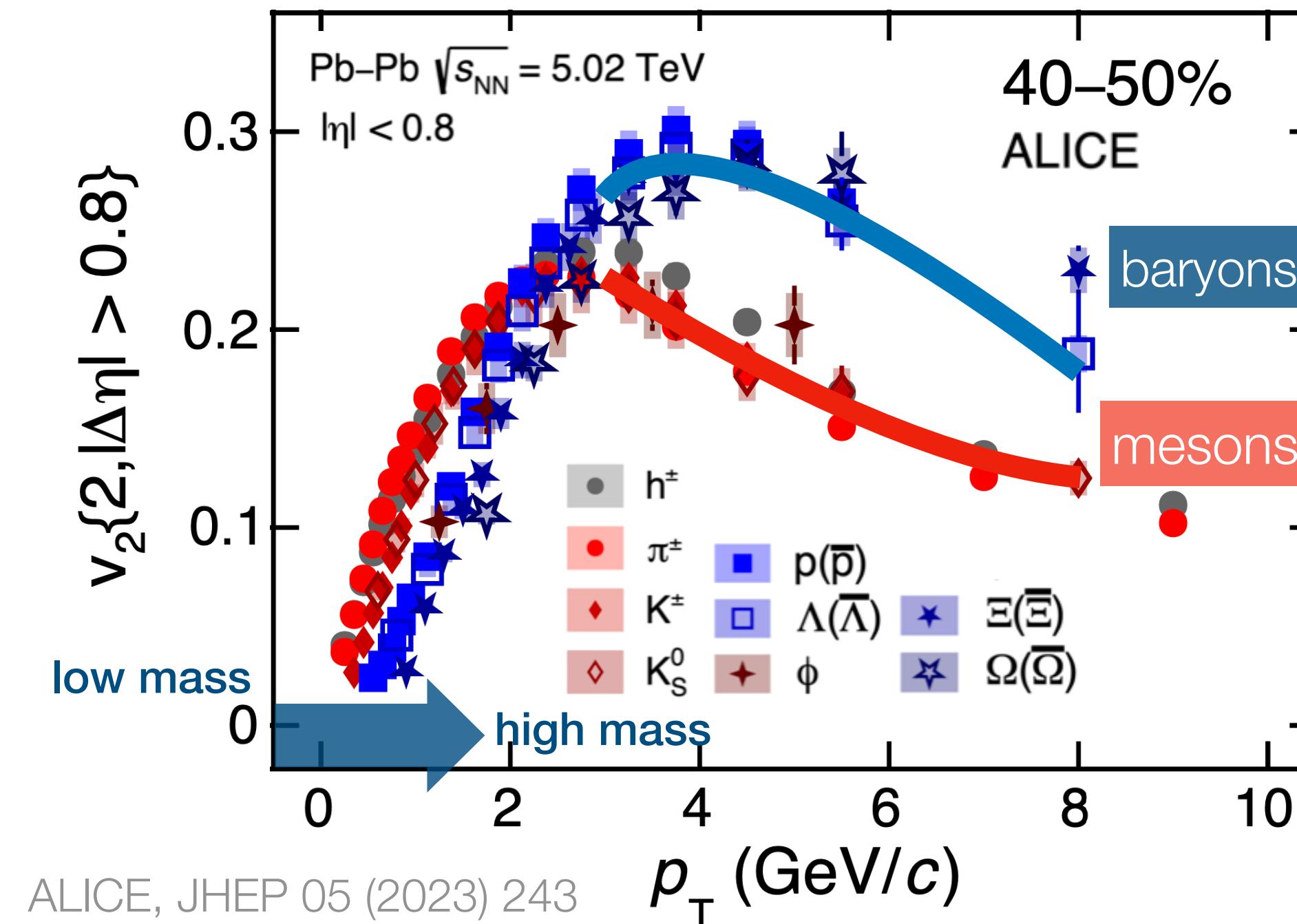
# Mass dependence of momentum distributions



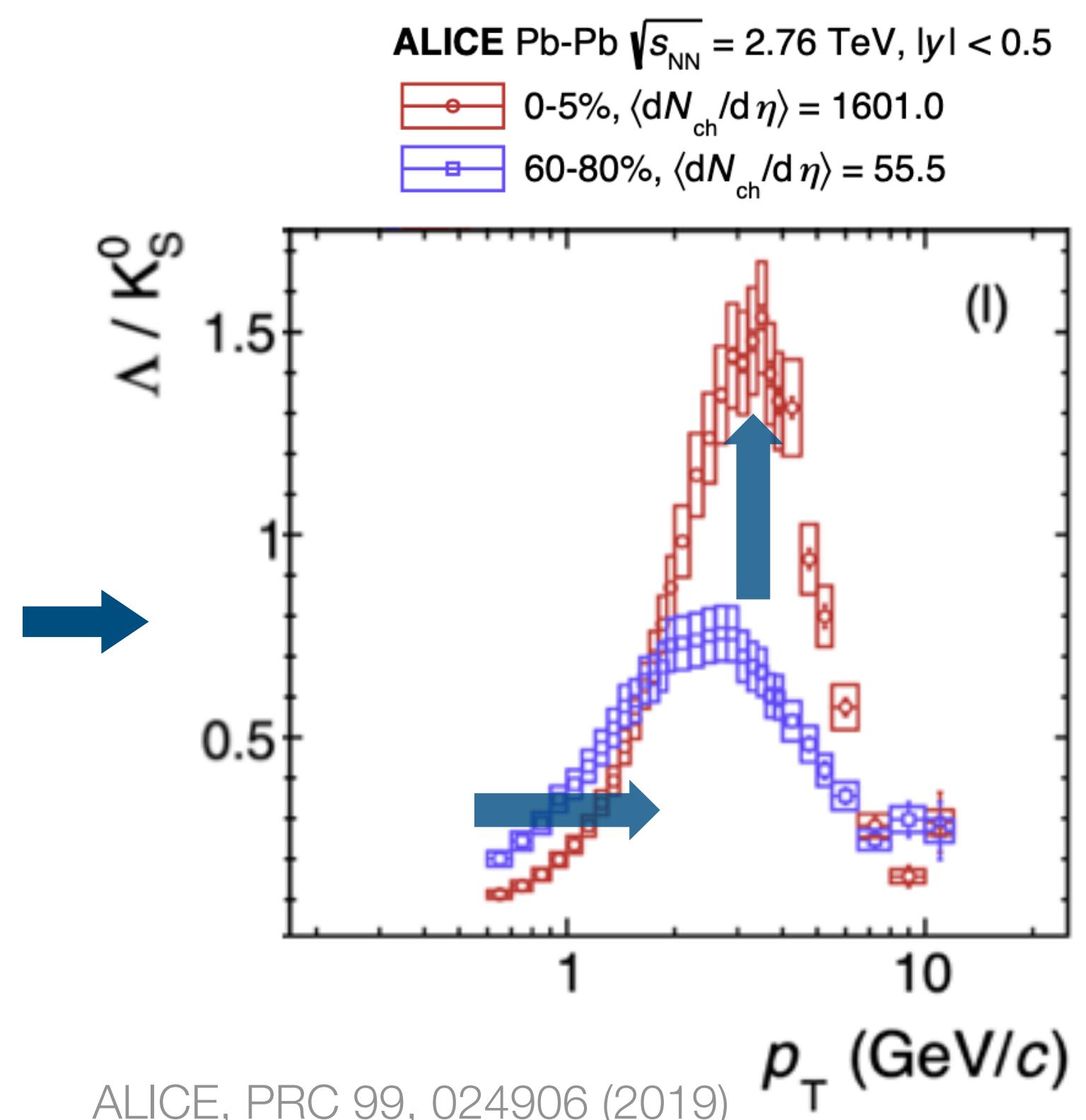
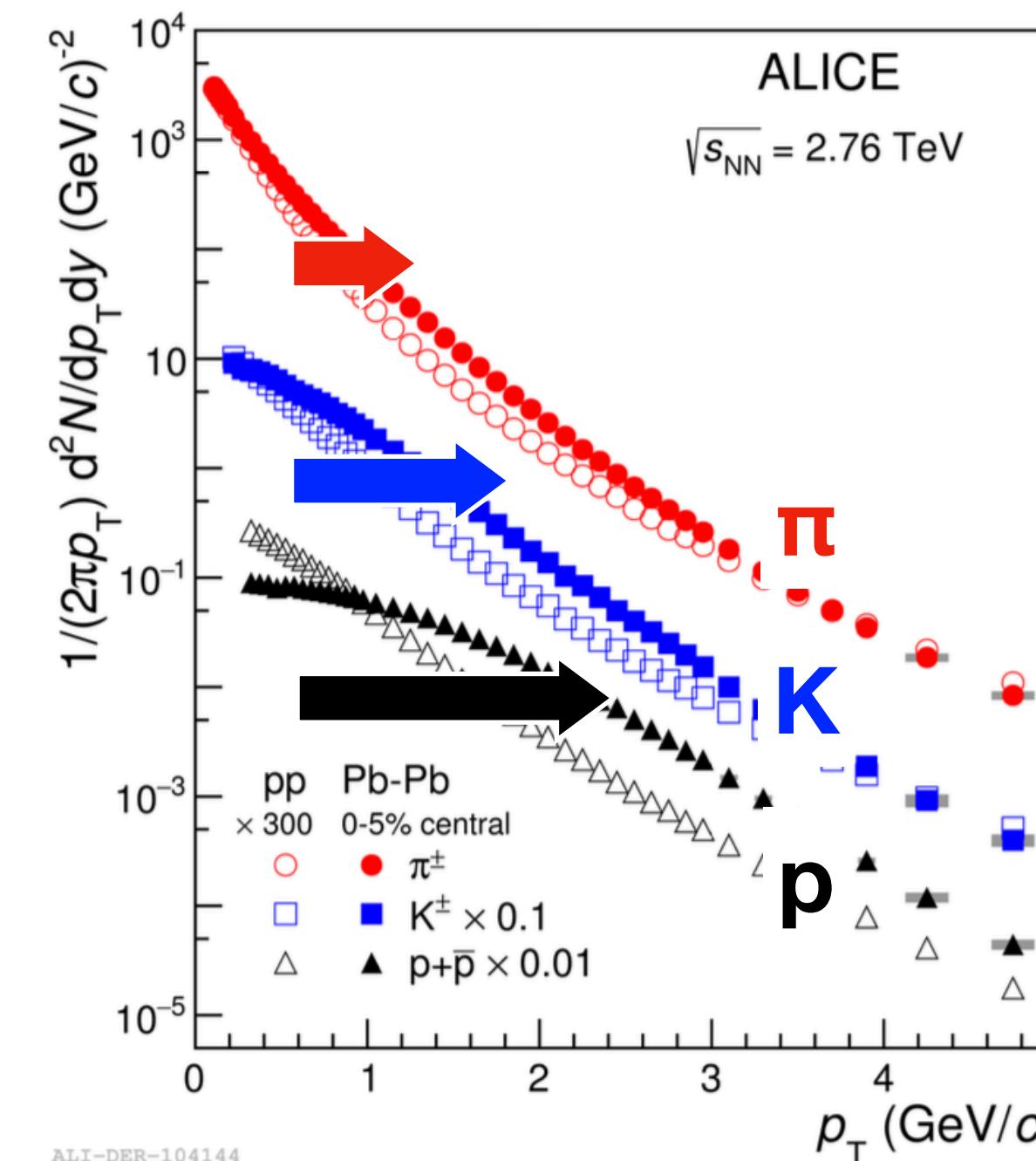
- Interplay of radial and anisotropic expansion → **mass ordering**
  - Intermediate- $p_T$ : **coalescence** → **particle-type grouping**
- **Partonic collectivity:** deconfined medium where partons flow



# Mass dependence of momentum distributions

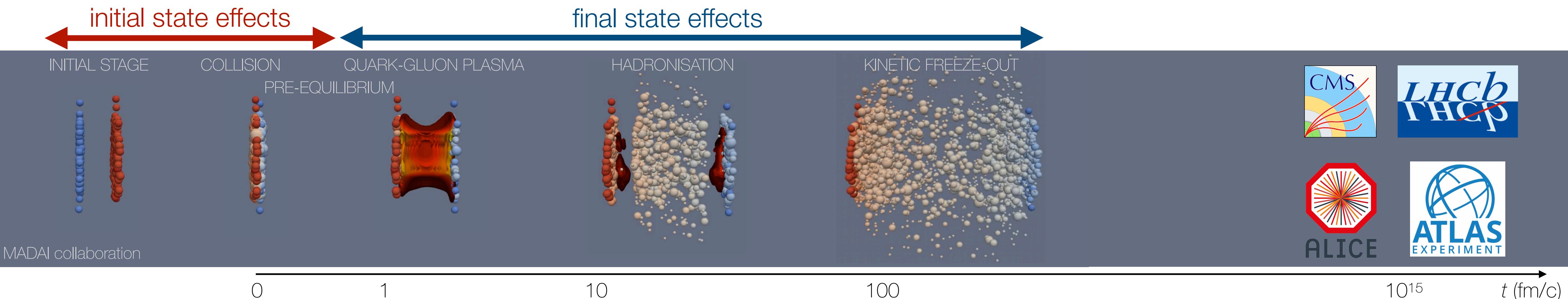


- Interplay of radial and anisotropic expansion → **mass ordering**
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- **Partonic collectivity:** deconfined medium where partons flow
- **Baryon enhancement:** interplay of radial expansion and coalescence



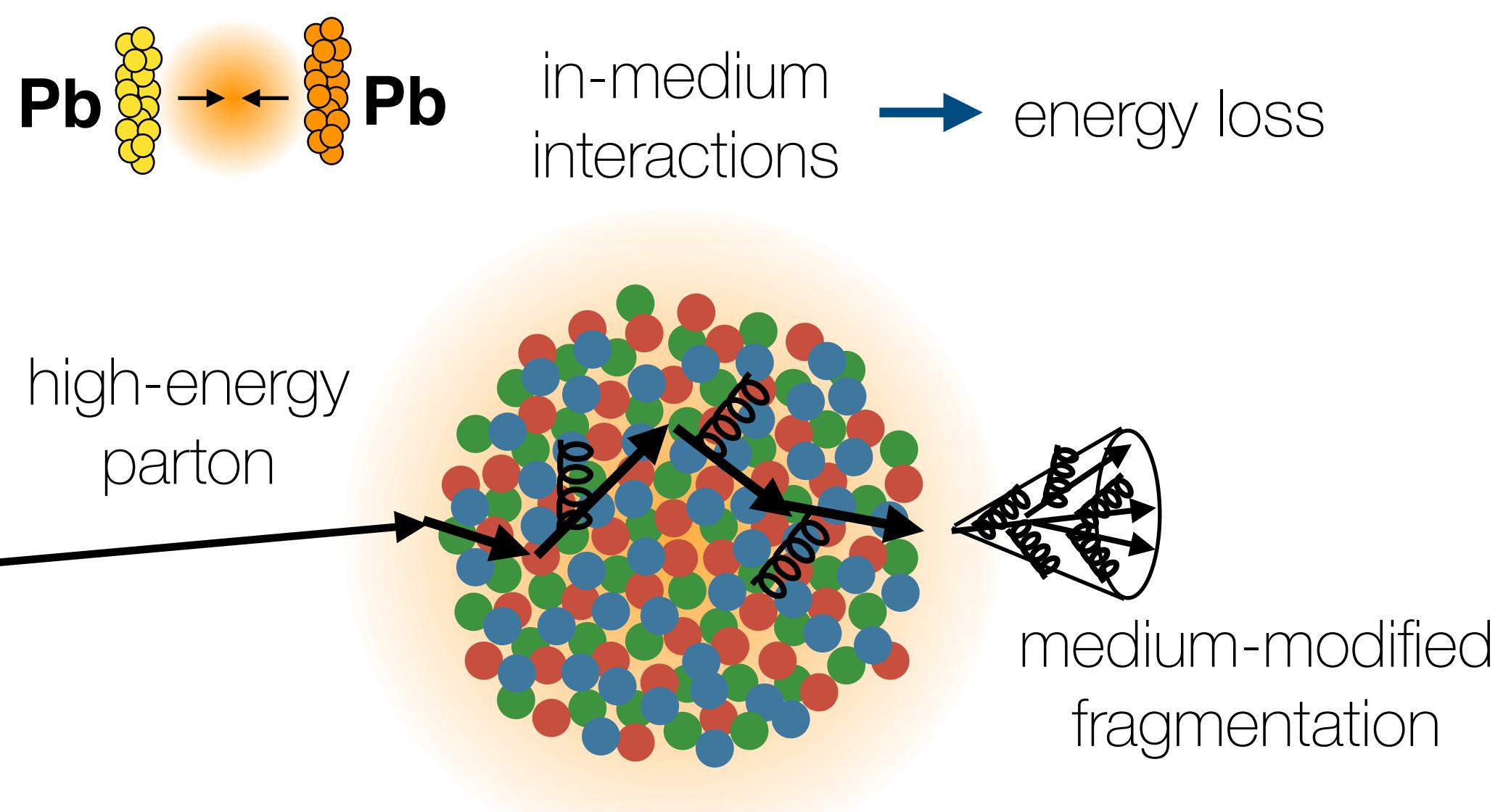
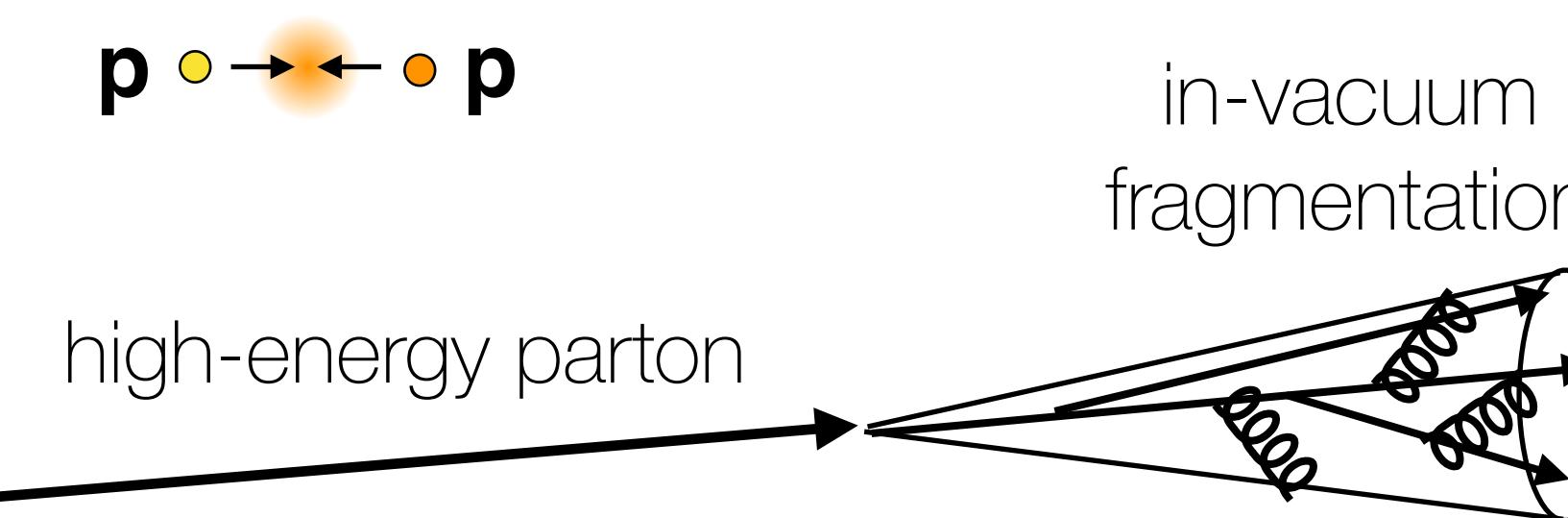
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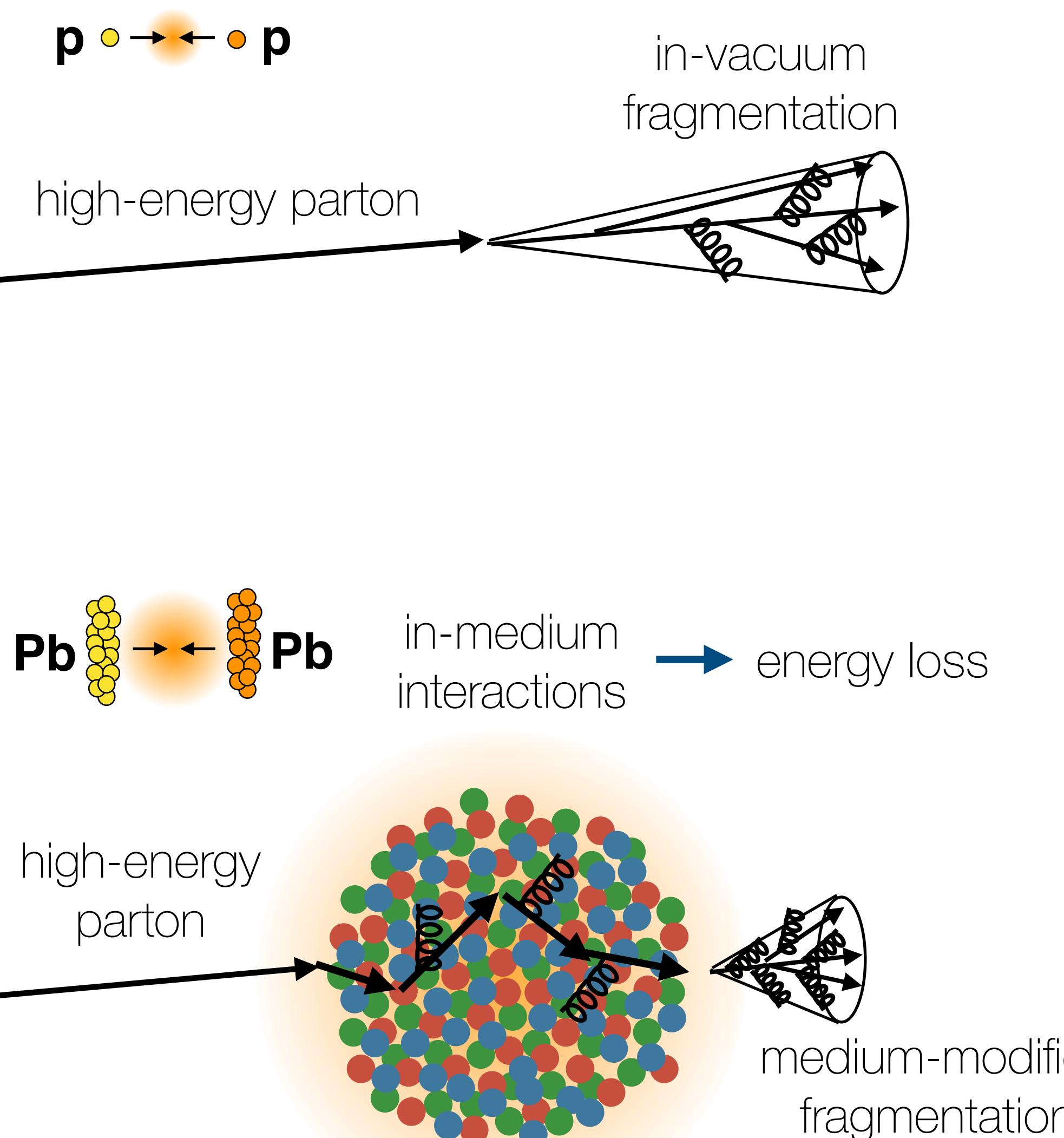


Collectively expanding	Thermalised medium	Dense & deconfined medium
<b>Signatures:</b> modification of momentum and angular distributions	<b>Signatures:</b> modification of hadronisation thermal photon radiation	<b>Signatures:</b> parton energy loss quarkonia dissociation
<b>Measurements:</b> anisotropic flow	<b>Measurements:</b> particle yields particle spectra	<b>Measurements:</b> nuclear modification factor

# Parton energy loss in the QGP



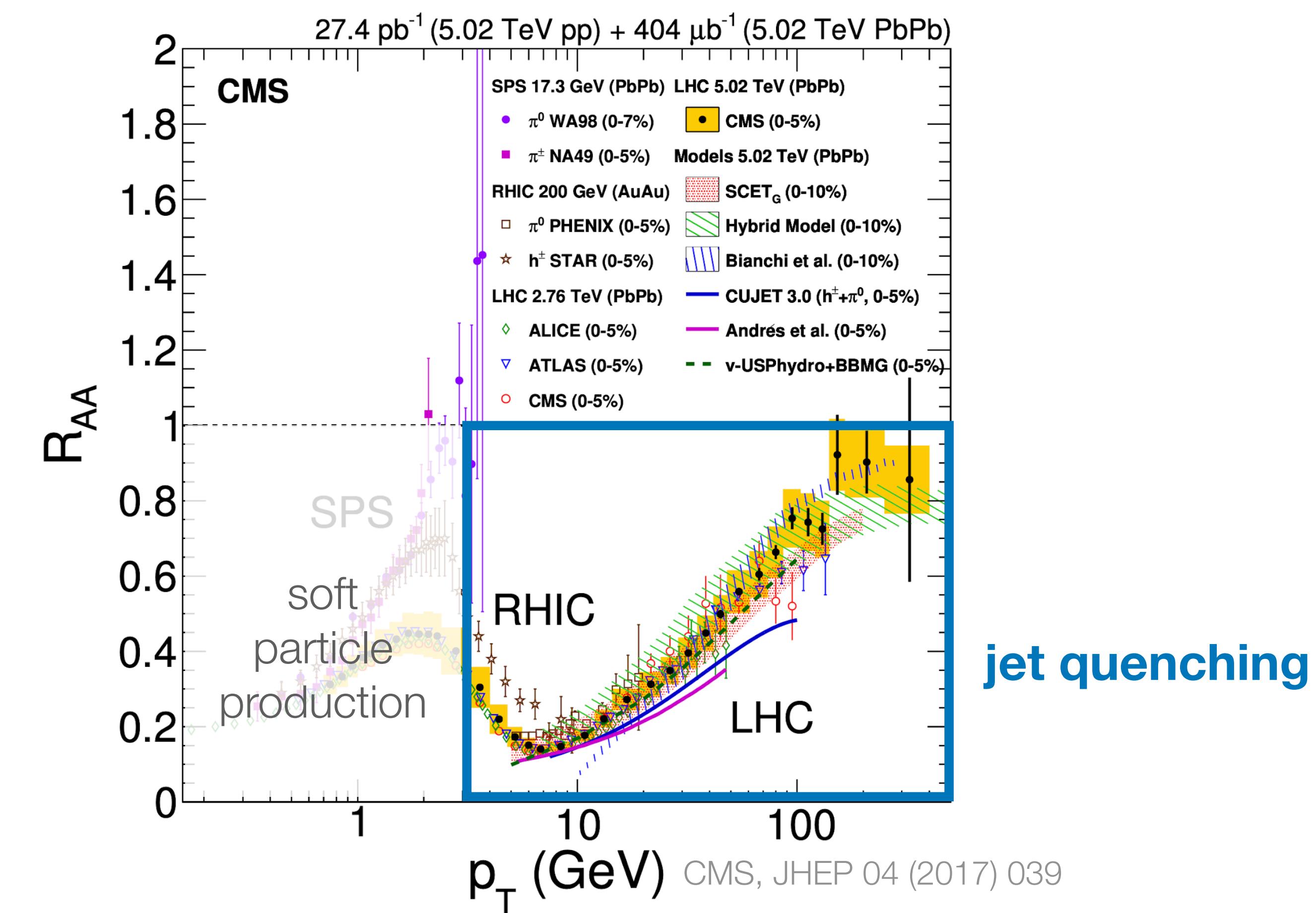
# Parton energy loss in the QGP



Nuclear modification factor

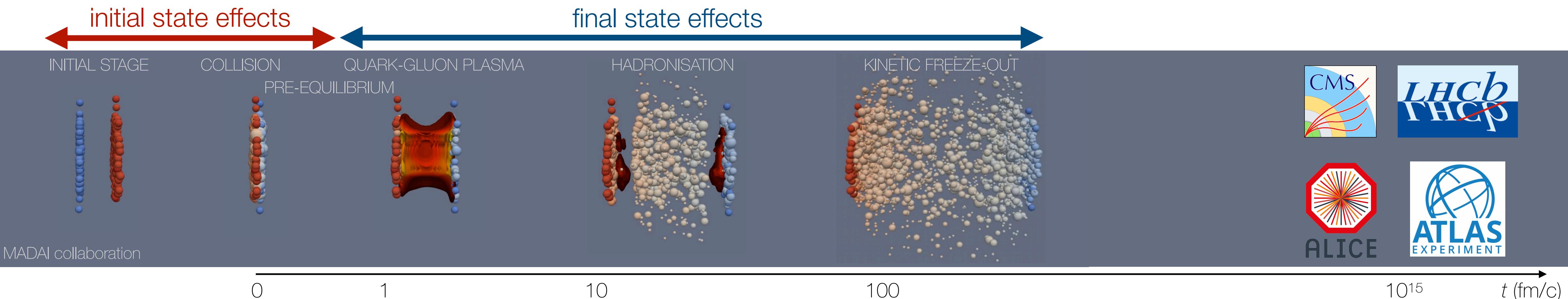
$$R_{AA} = \frac{dN_{AA}/dp_T}{\langle N_{coll} \rangle dN_{pp}/dp_T}$$

= 1      no quenching  
 < 1      jet quenching



# Creation of quark-gluon plasma in large systems

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particle spectra

**Dense & deconfined medium**

**Signatures:**  
parton energy loss  
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# Creation of quark-gluon plasma in large systems

**Quark-gluon plasma** (QGP) = **deconfined strongly-interacting** QCD matter with color degrees of freedom

all these effects-are-(**were**) understood  
as unique signatures of the QGP

w.r.t

baseline represented by vacuum  
processes in small collision systems

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### Signatures:

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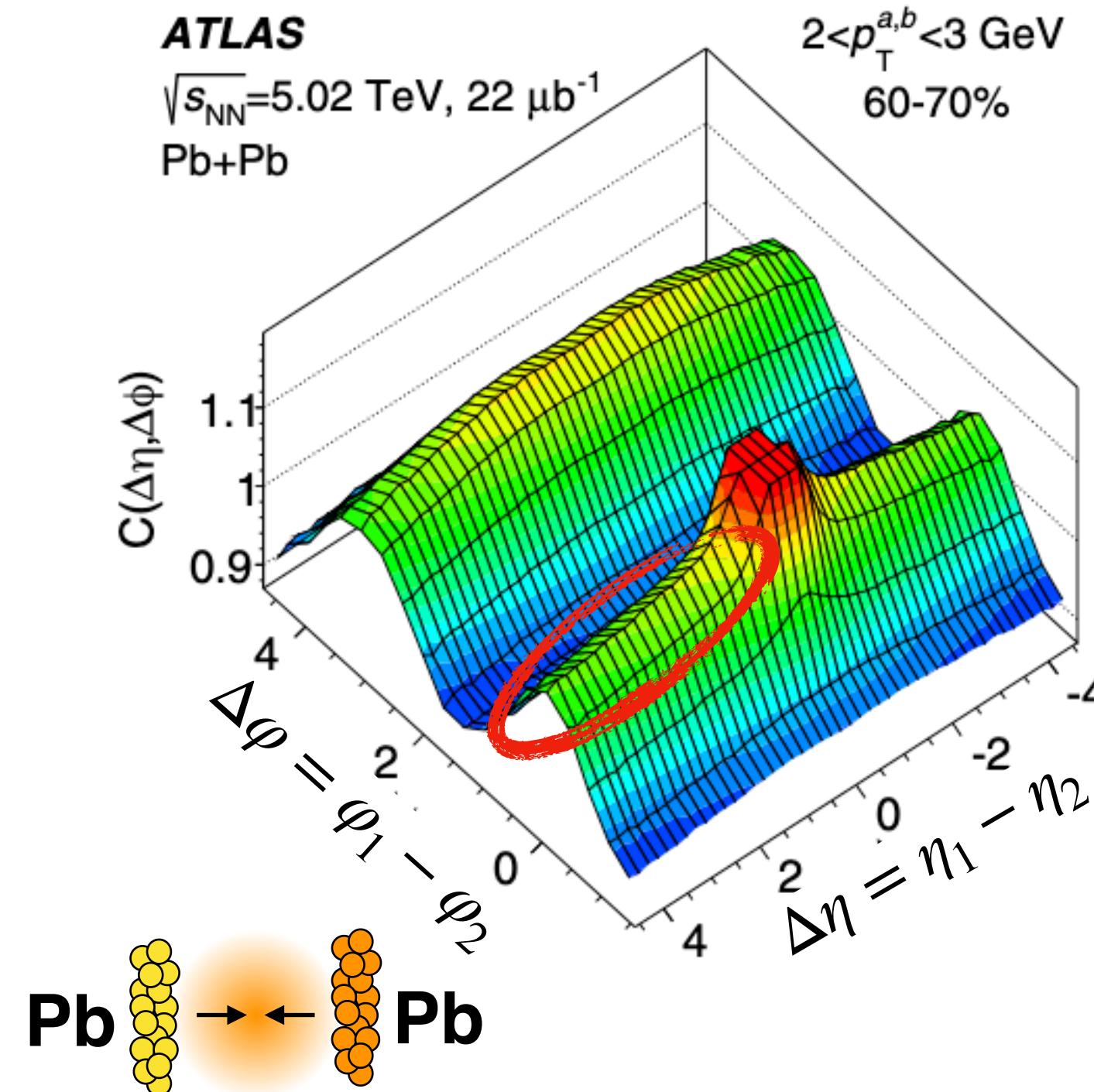
parton energy loss  
quarkonia dissociation

### Measurements:

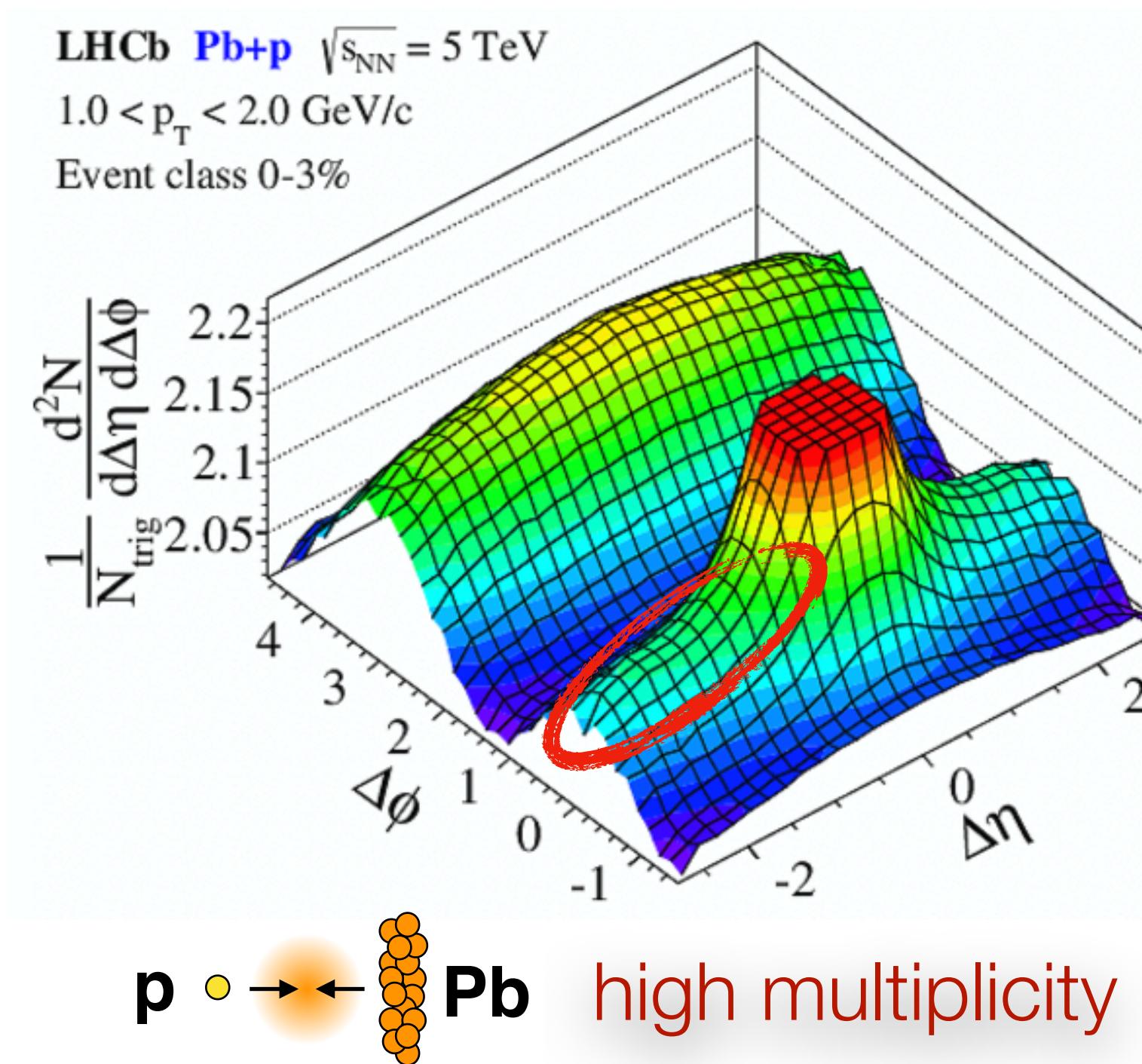
nuclear modification factor

# Example: ridge is not unique to Pb-Pb

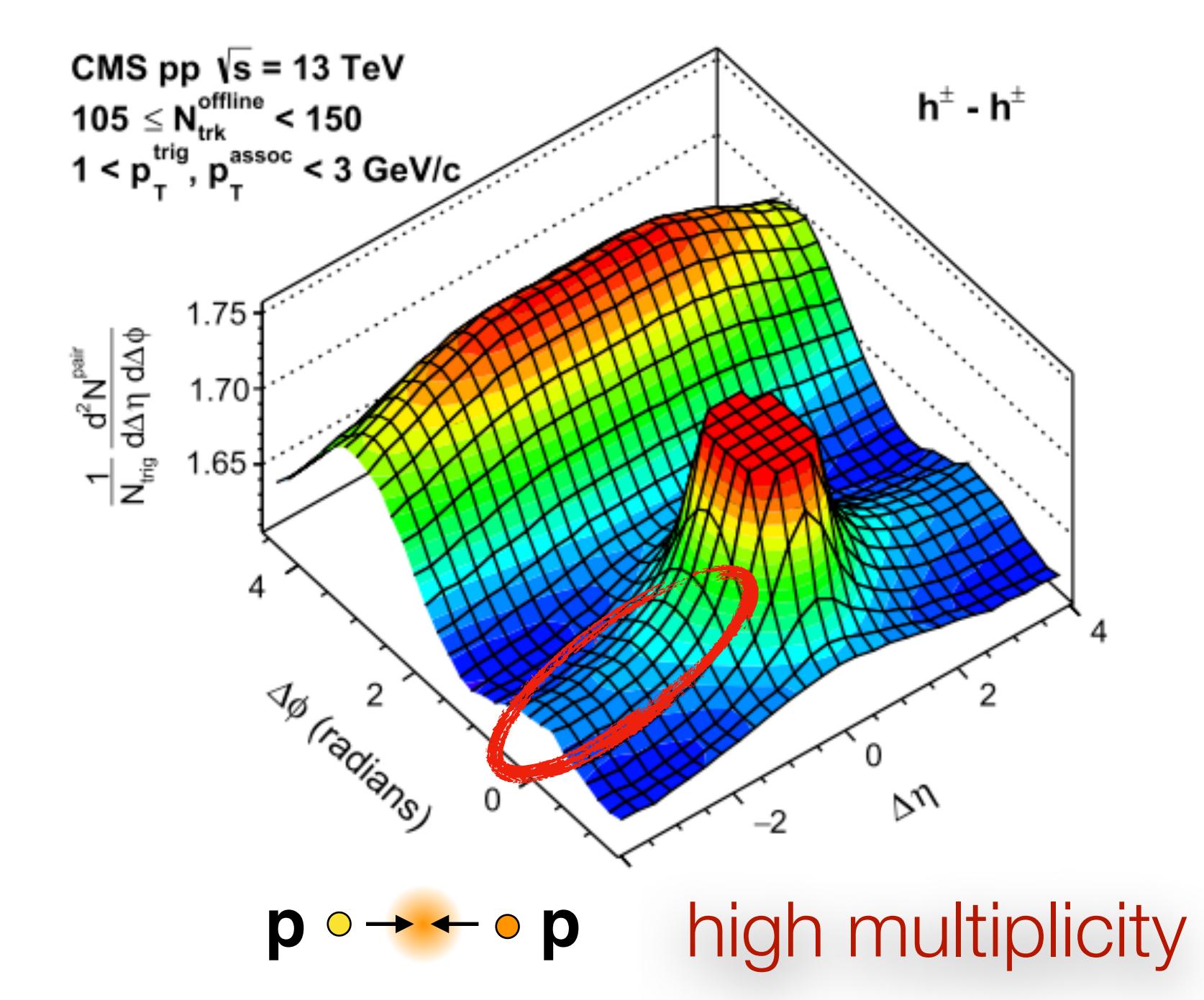
ATLAS, EPJC (2018) 78:997



LHCb, PLB 762 (2016) 473



CMS, PLB 765 (2017) 193



**Ridge** observed **universally** across collision systems



What else is universal?

# Signatures of QGP in small systems?

## Collectively expanding

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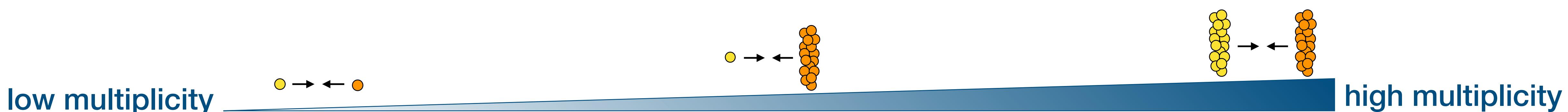
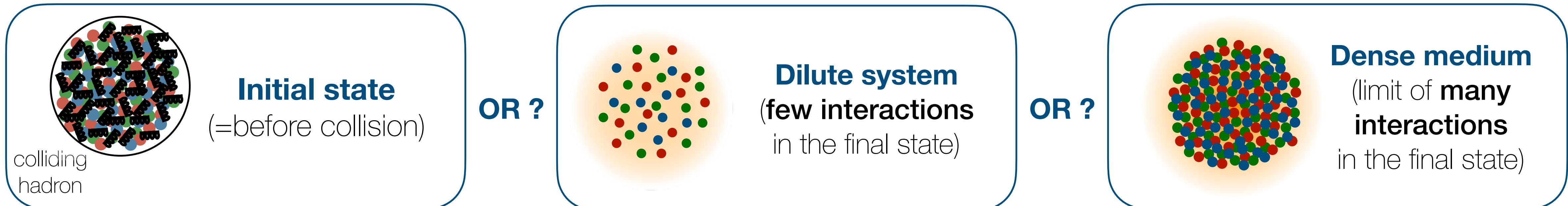
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quarkonia dissociation

### Measurements:

nuclear modification factor

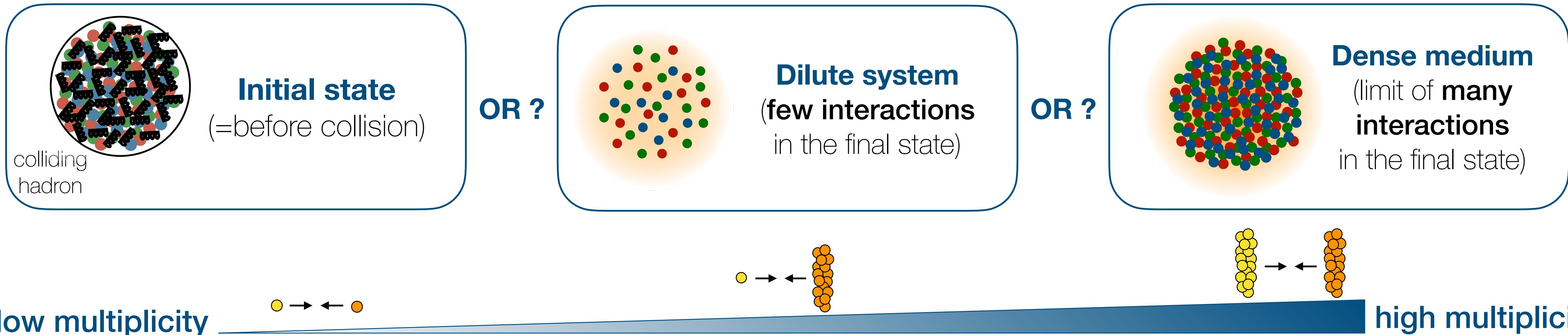
?

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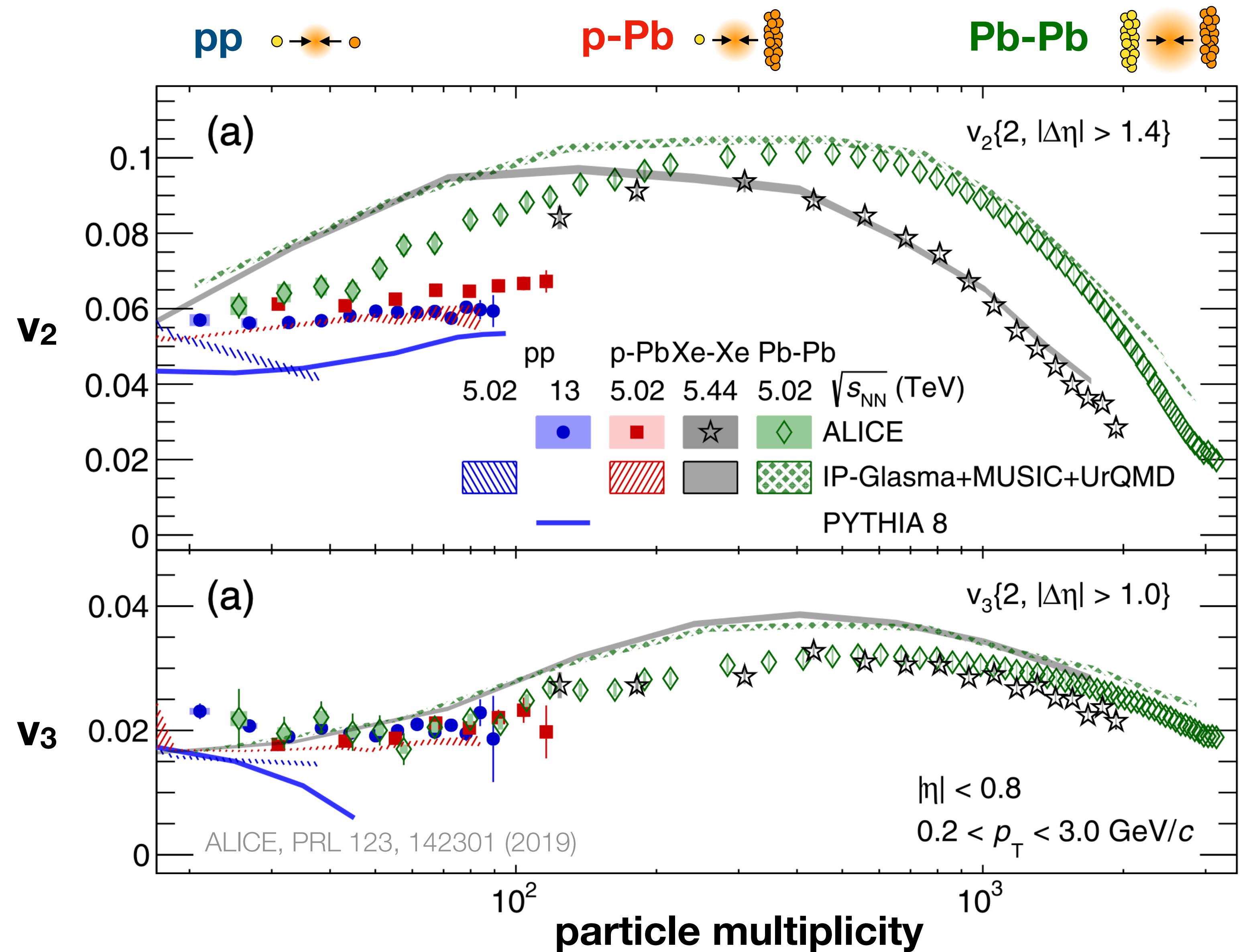


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# Anisotropic flow in small systems

No sharp turn-off  
as a function of multiplicity

We do not “switch-off” collectivity ?



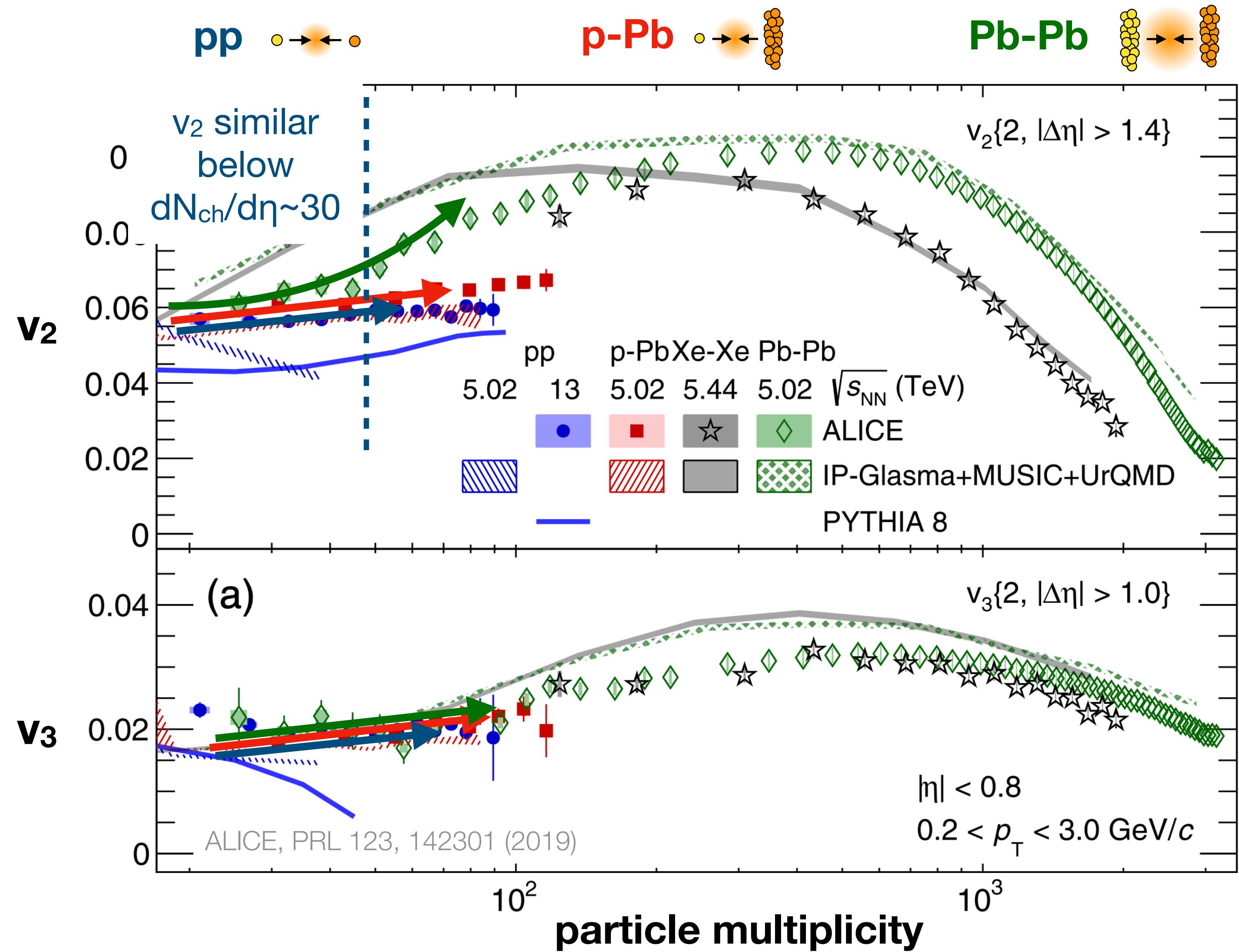
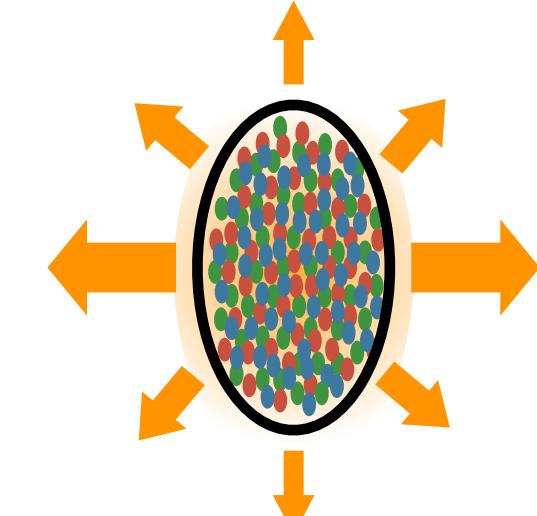
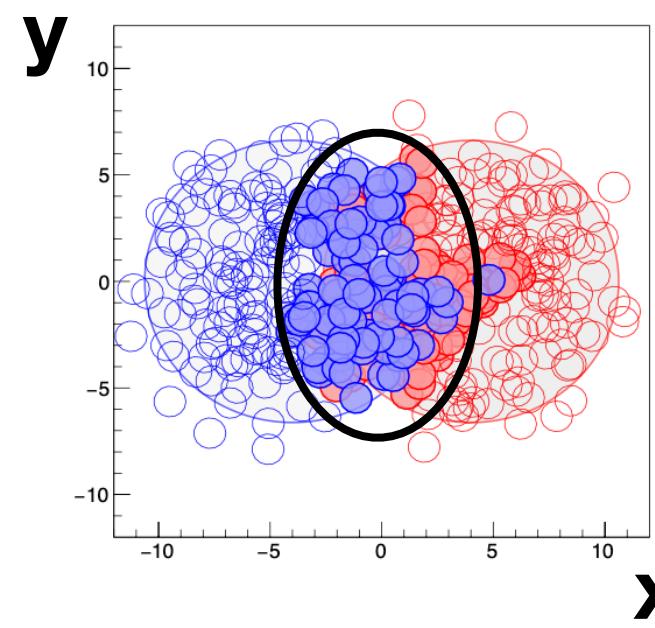
# Anisotropic flow in small systems

**No sharp turn-off  
as a function of multiplicity**

We do not “switch-off” collectivity ?

**Response to initial geometry**

Subnucleon fluctuations  
important in small systems

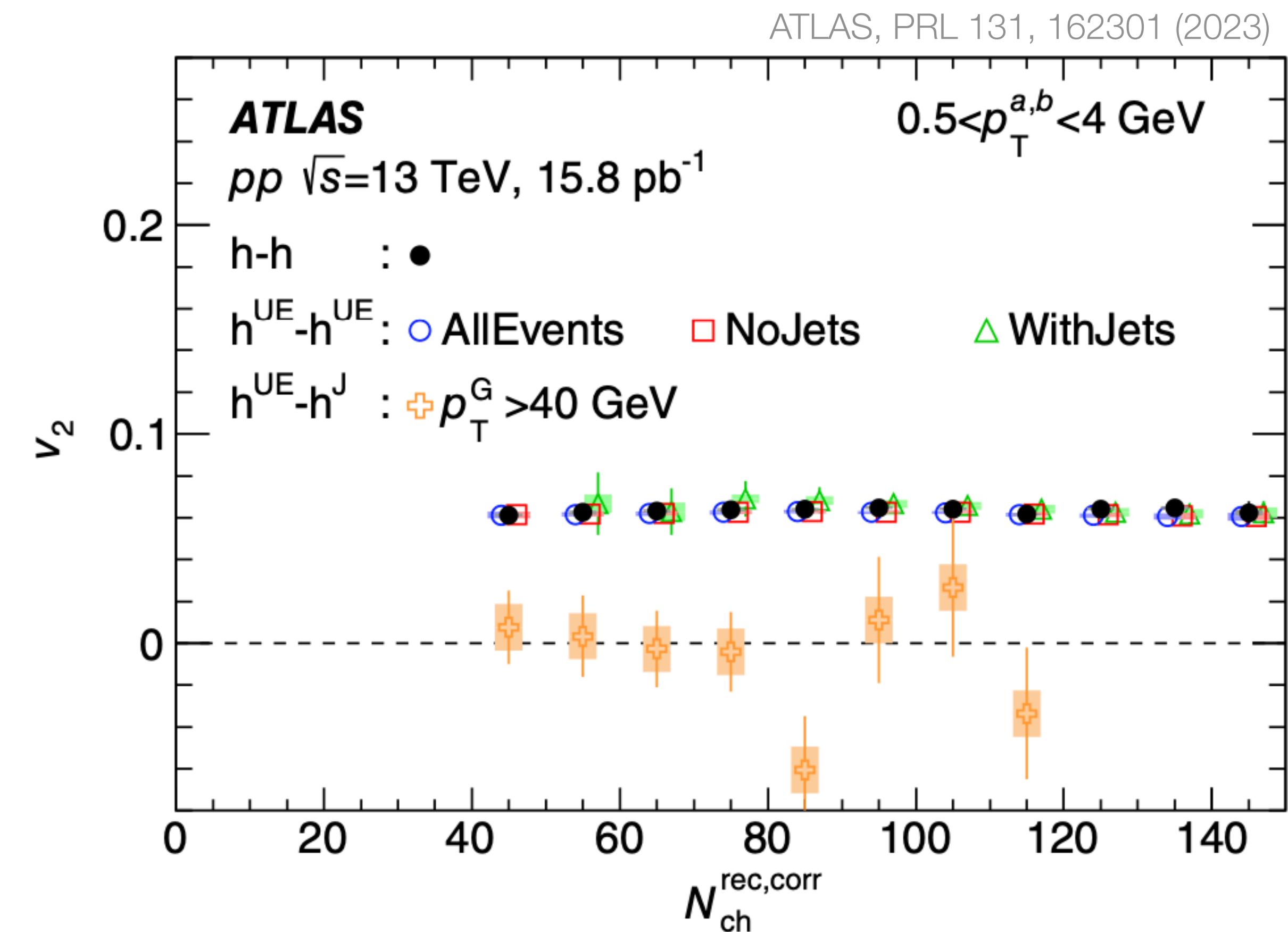


# Sensitivity to the presence of jets

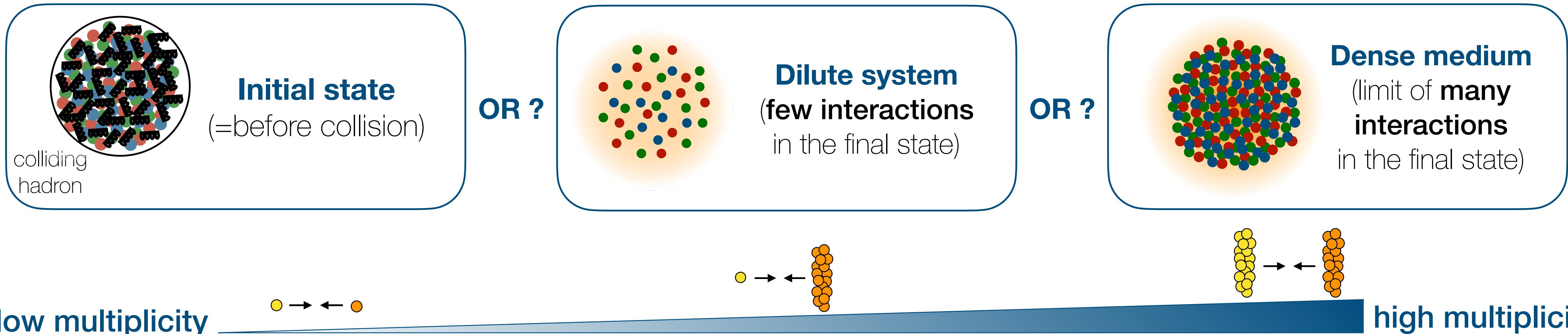
**Long-range correlations not affected  
by the presence of hard process**

No significant change in  $v_2$  when:

- Removing particles associated with jets
- Selecting events with jets (while removing particles associated with jets)



# Signatures of QGP in small systems?



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**Measurements:**  
anisotropic flow

**Thermalised medium**

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**Can we ever switch it off? :** ?

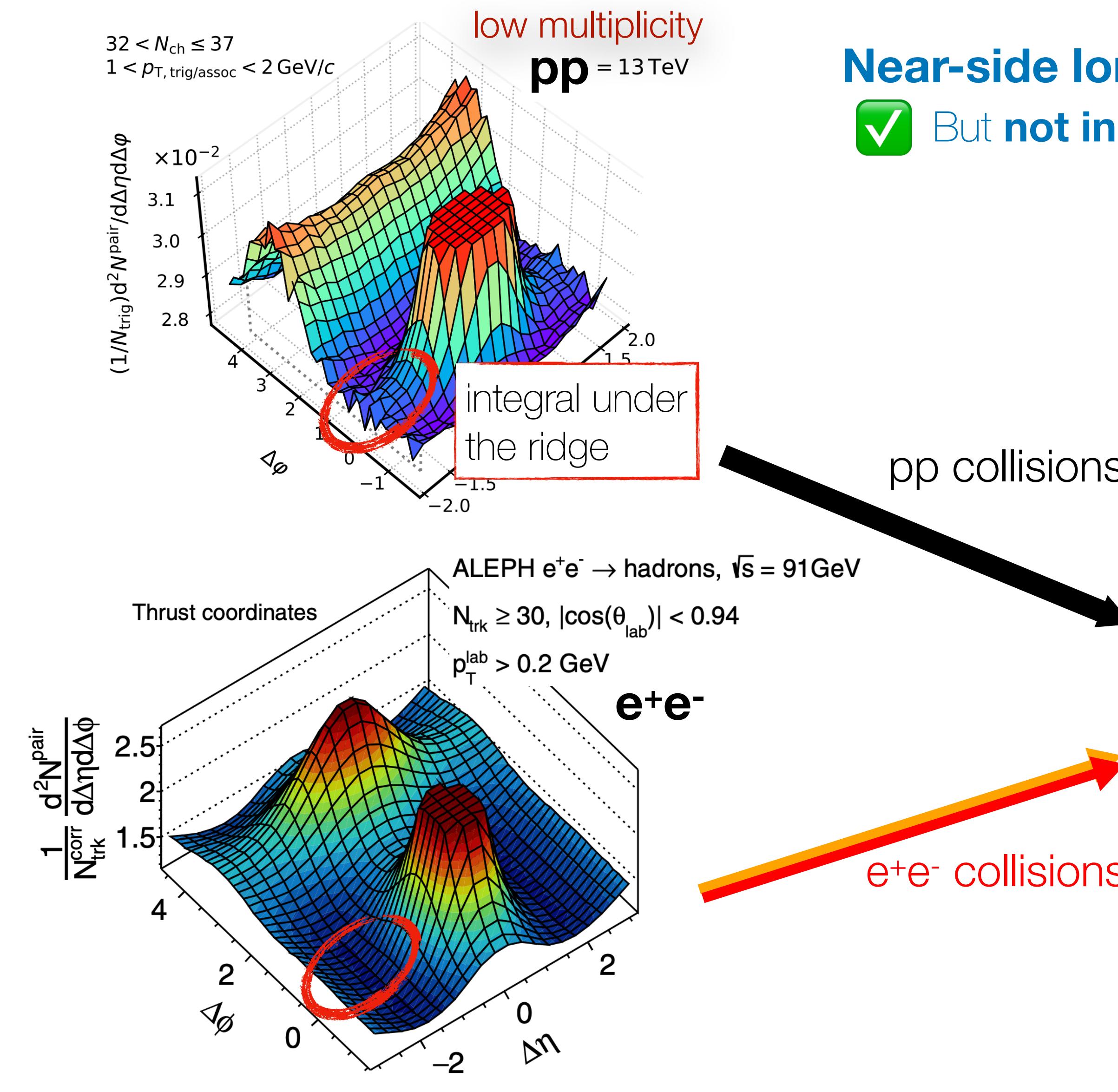
**Dense & deconfined medium**

**Signatures:**  
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?

# Measurements at the extremes



## Near-side long-range ridge yield in pp down to low multiplicity

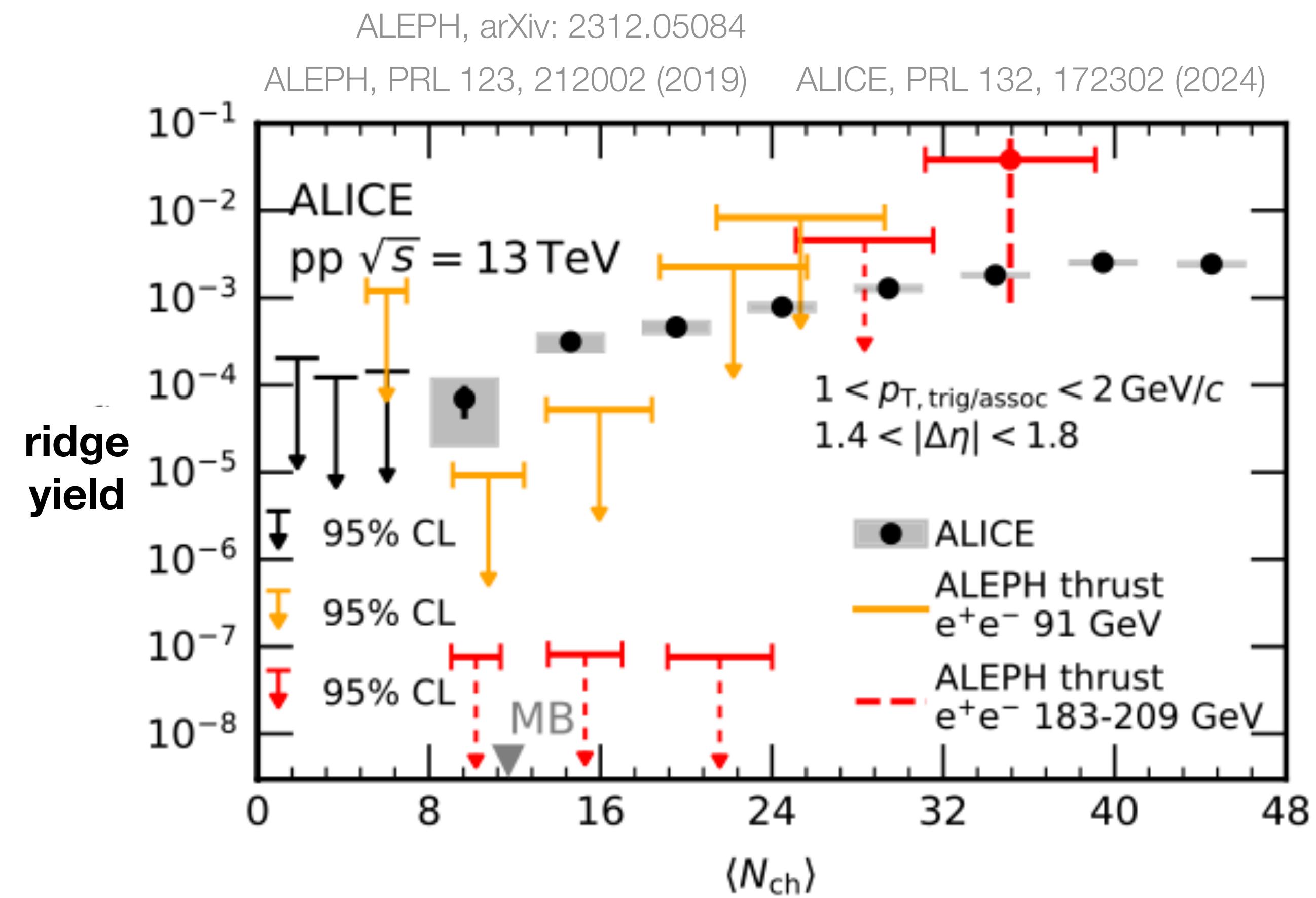


But **not in  $e^+e^-$  collisions**



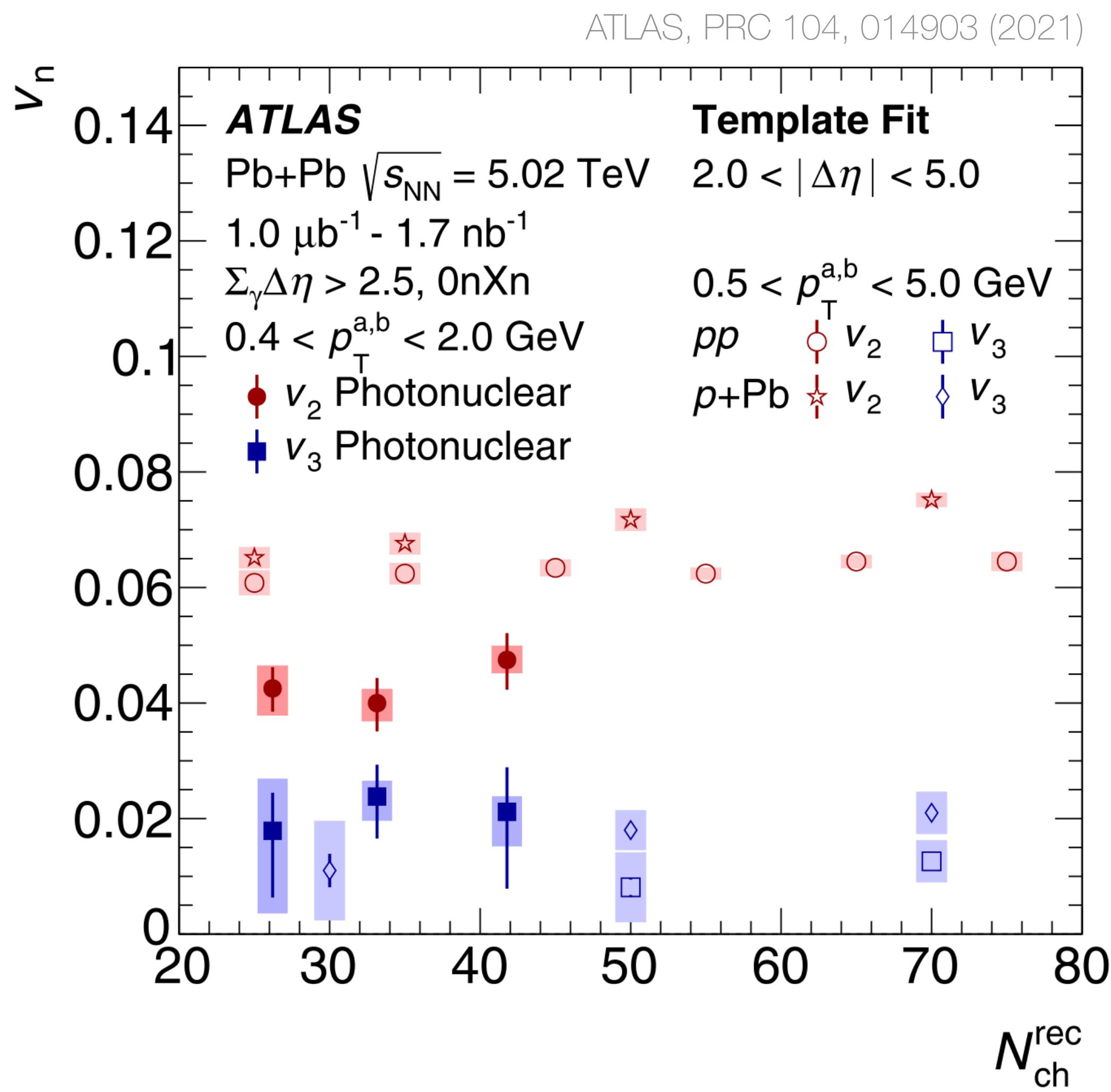
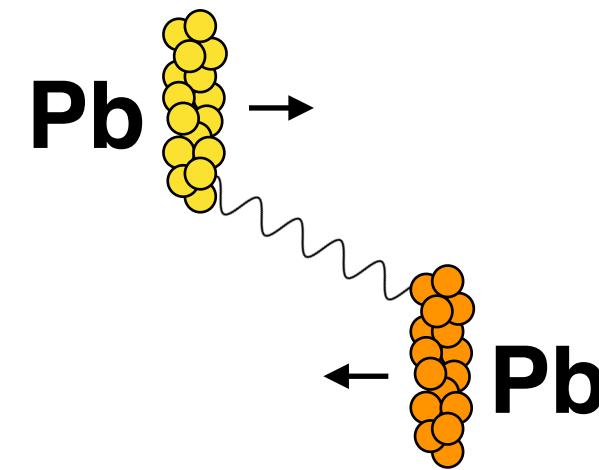
good, baseline stays a baseline

Note: signs of ridge visible in  $e^+e^-$  collisions at high  $N_{\text{ch}}$  (to be understood)



# Ultraperipheral collisions to probe the IS effects?

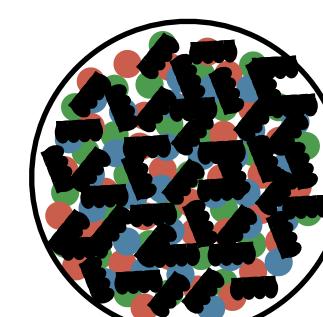
UPC investigate saturation effects in the incoming nucleus  
→ very early collision times



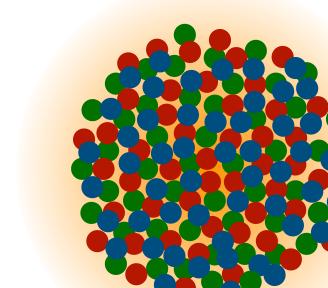
**Finite  $v_2$ , but with smaller magnitude than in hadron collisions**

Effects of the initial state (CGC-like) ?

"Standard flow model": response to geometry ?



or

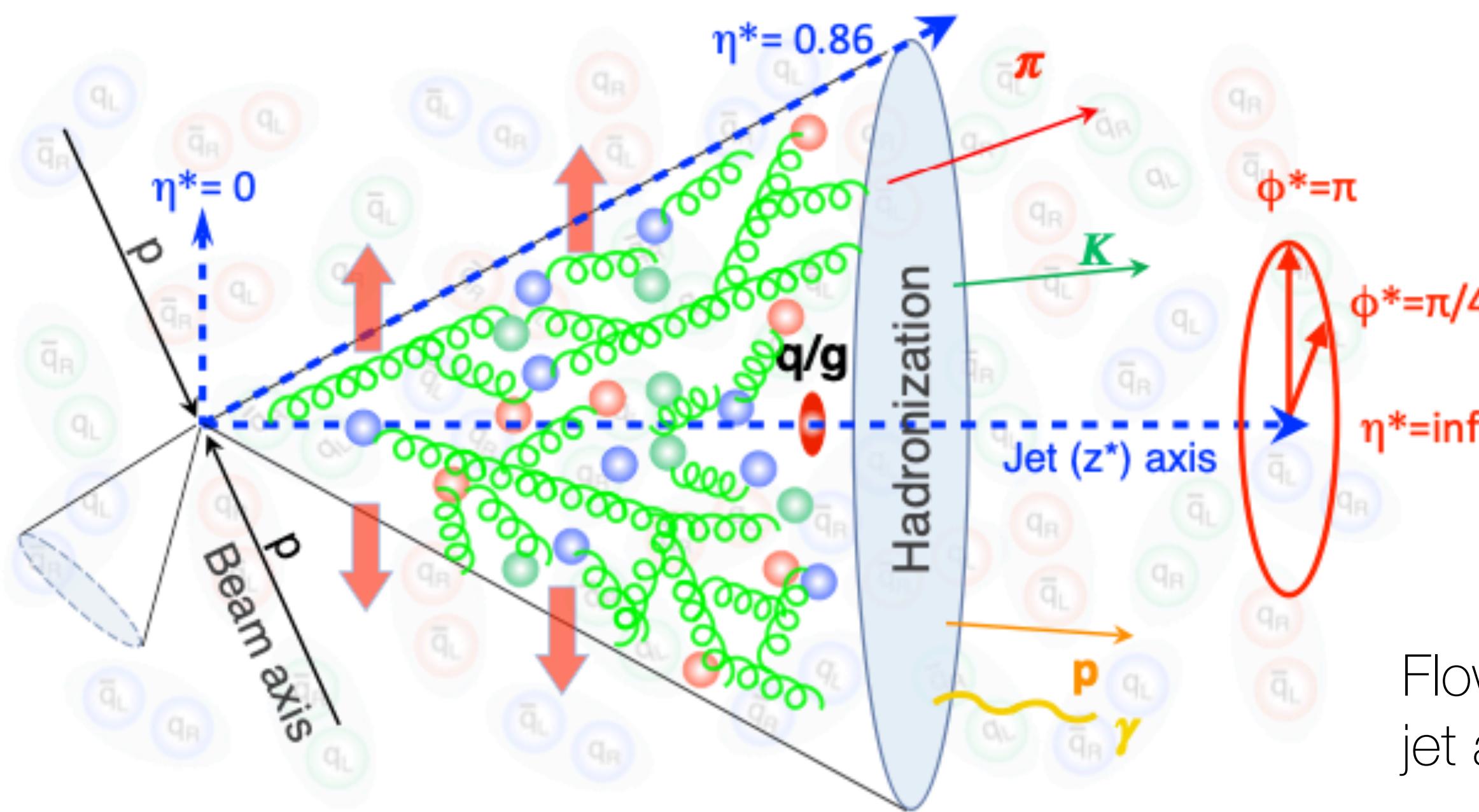


VM → ← Pb

**CGC model:** Shi et al., PRD 103, 054017 (2021)

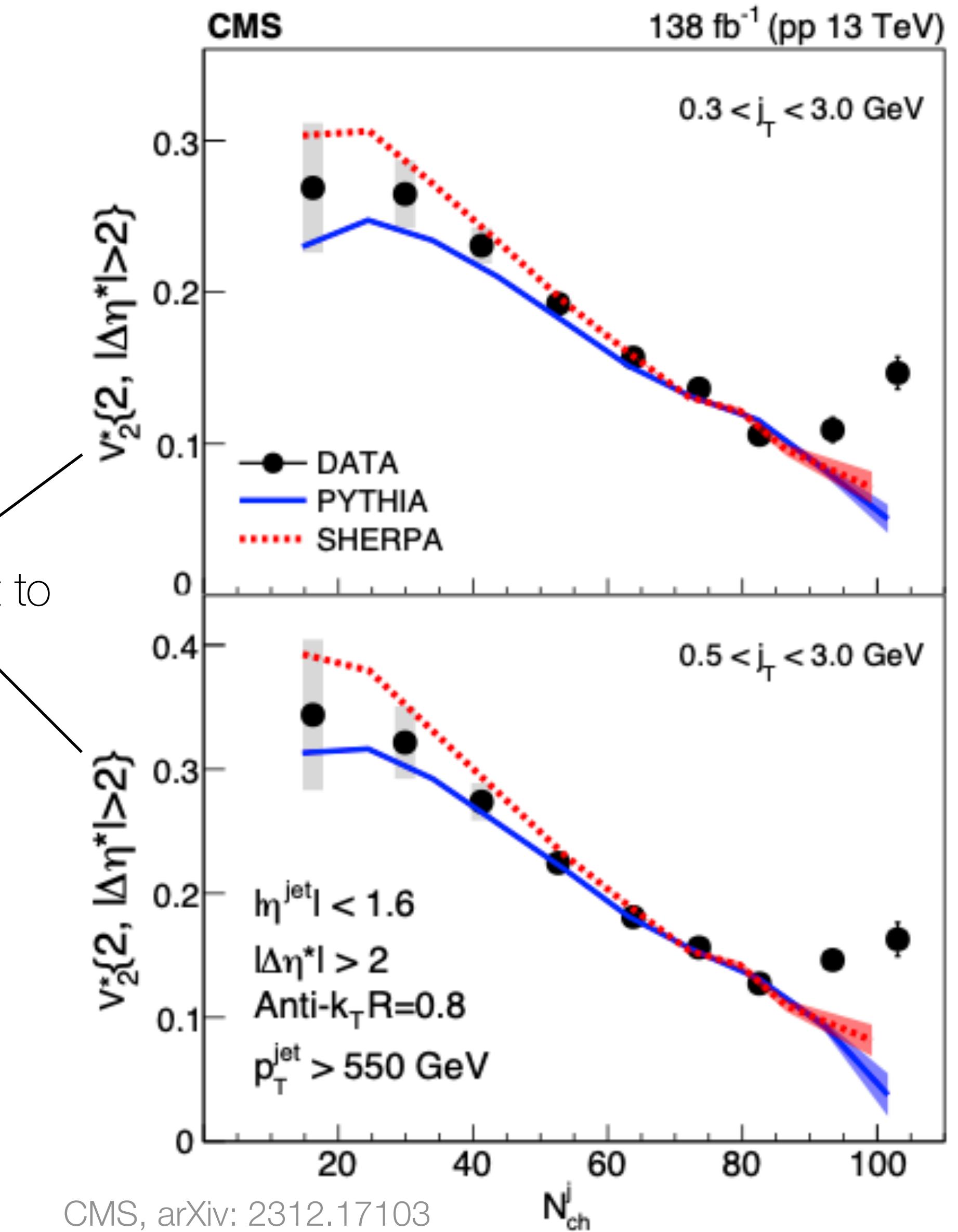
**Hydro model:** Zhao et al., PRL 129 (2022) 252302

# Enhanced azimuthal anisotropies in jets?

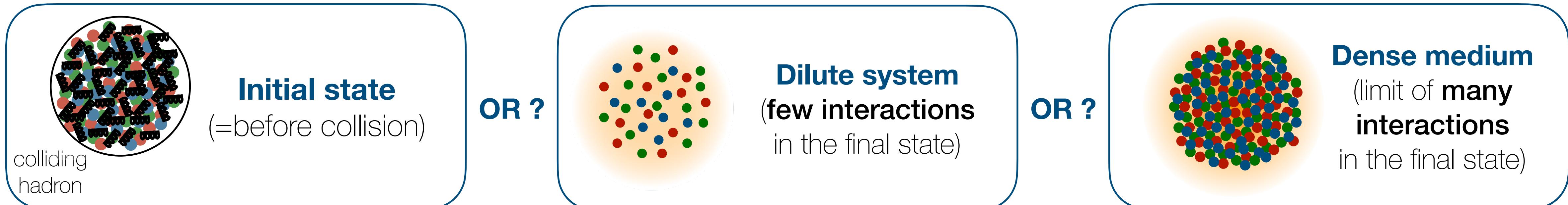


## Unexpected enhanced correlations in high-multiplicity jets

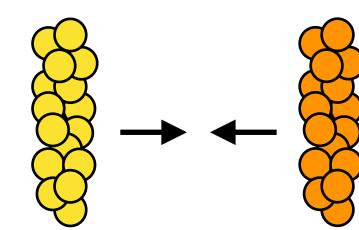
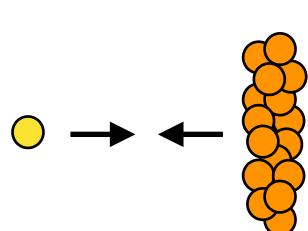
Is it just a corner of phase space not yet captured by particle-production models, or new effects ?



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low multiplicity



high multiplicity

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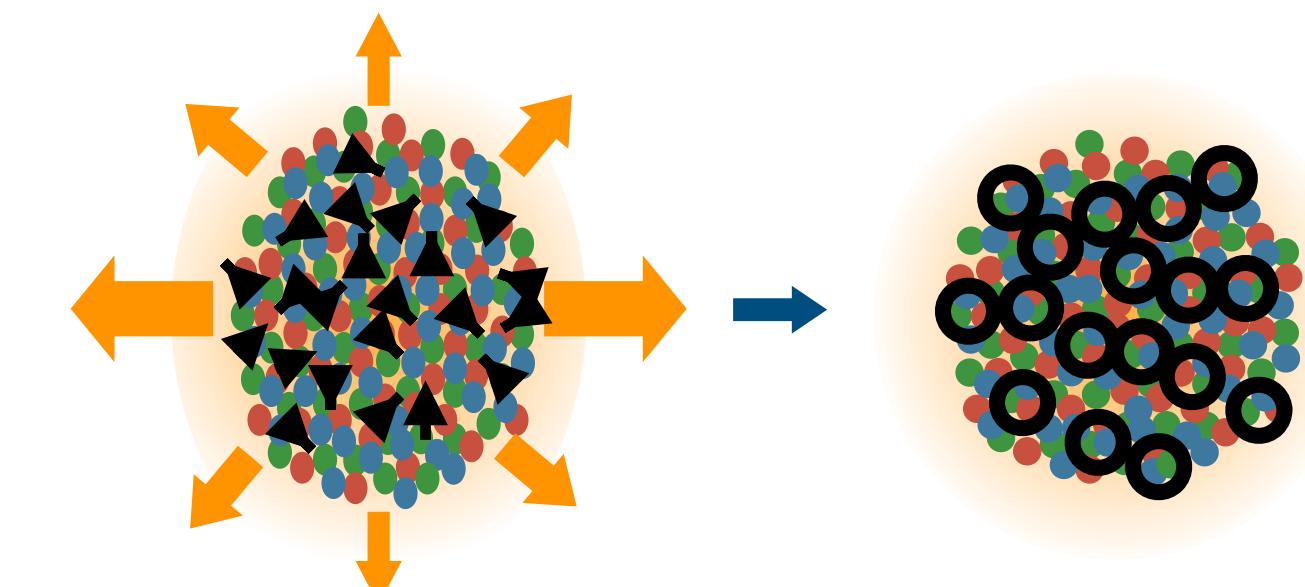
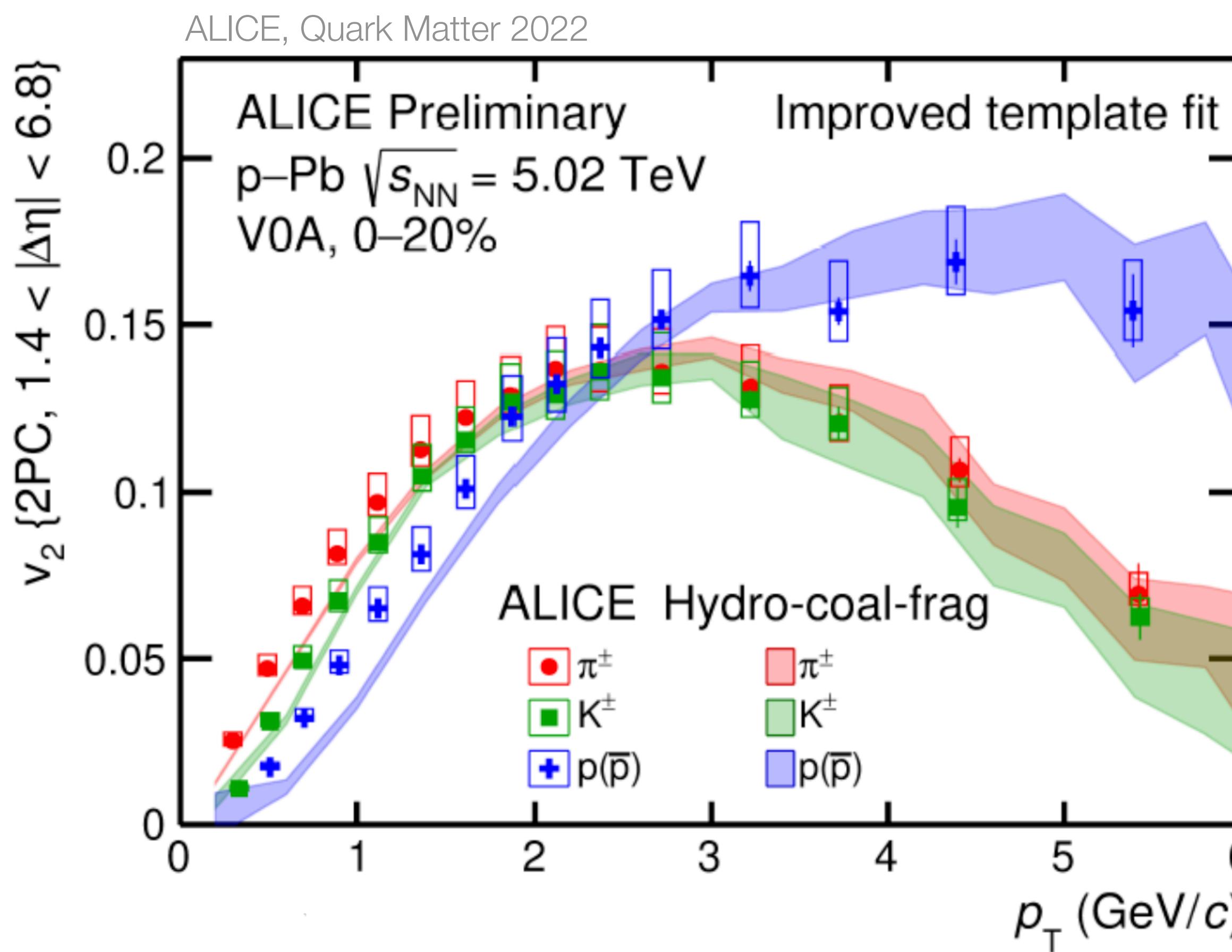
nuclear modification factor



# Hadron species dependence of flow in p-Pb/pp

Collectively expanding medium

→ constituents flow with similar velocity, and coalesce into hadrons



Mass ordering

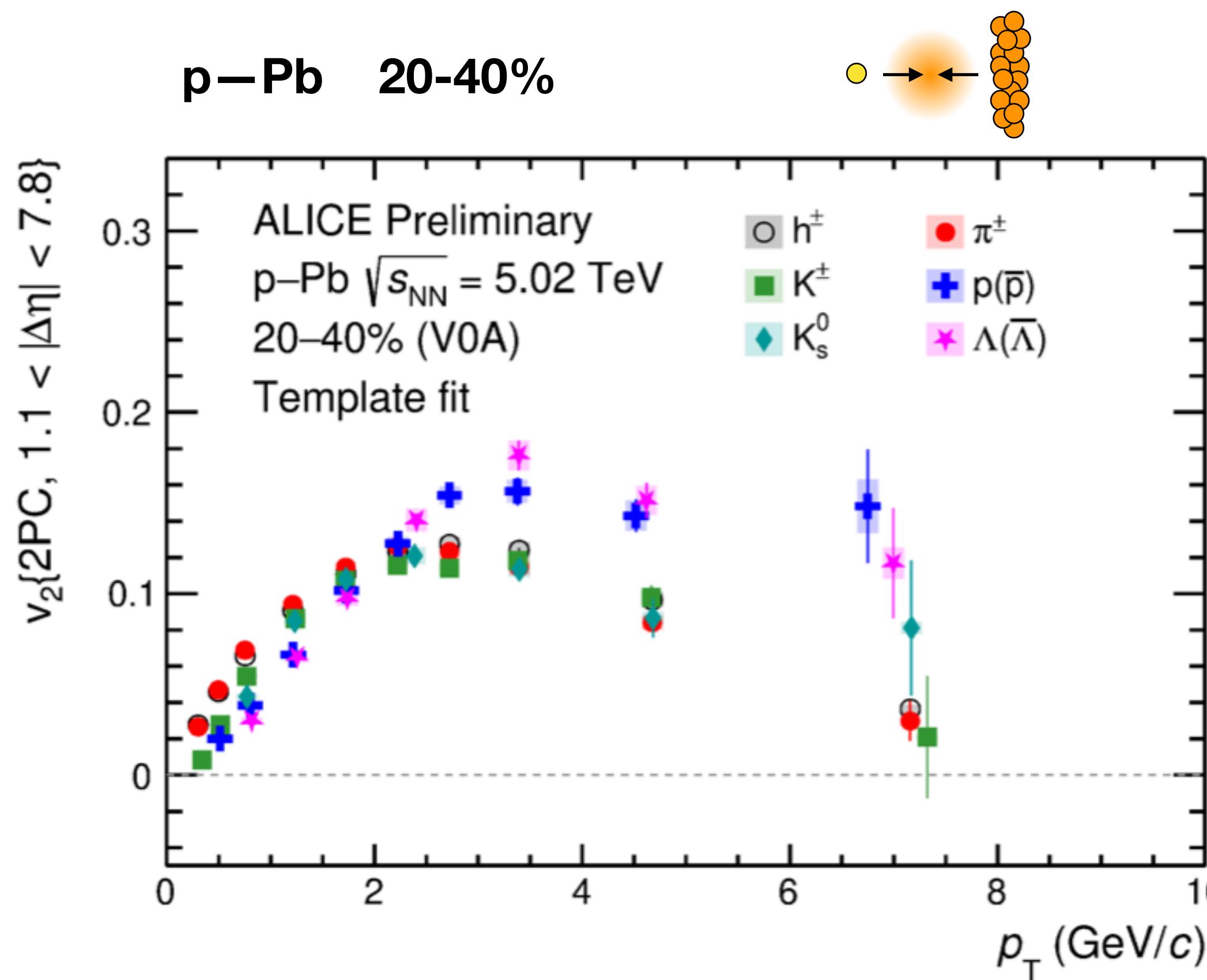
Particle-type grouping

One of the most prominent **signatures of**  
**partonic** (deconfined) **medium**

# Again: how low in N<sub>ch</sub> do we observe this?

## PID flow down to low multiplicity in pPb

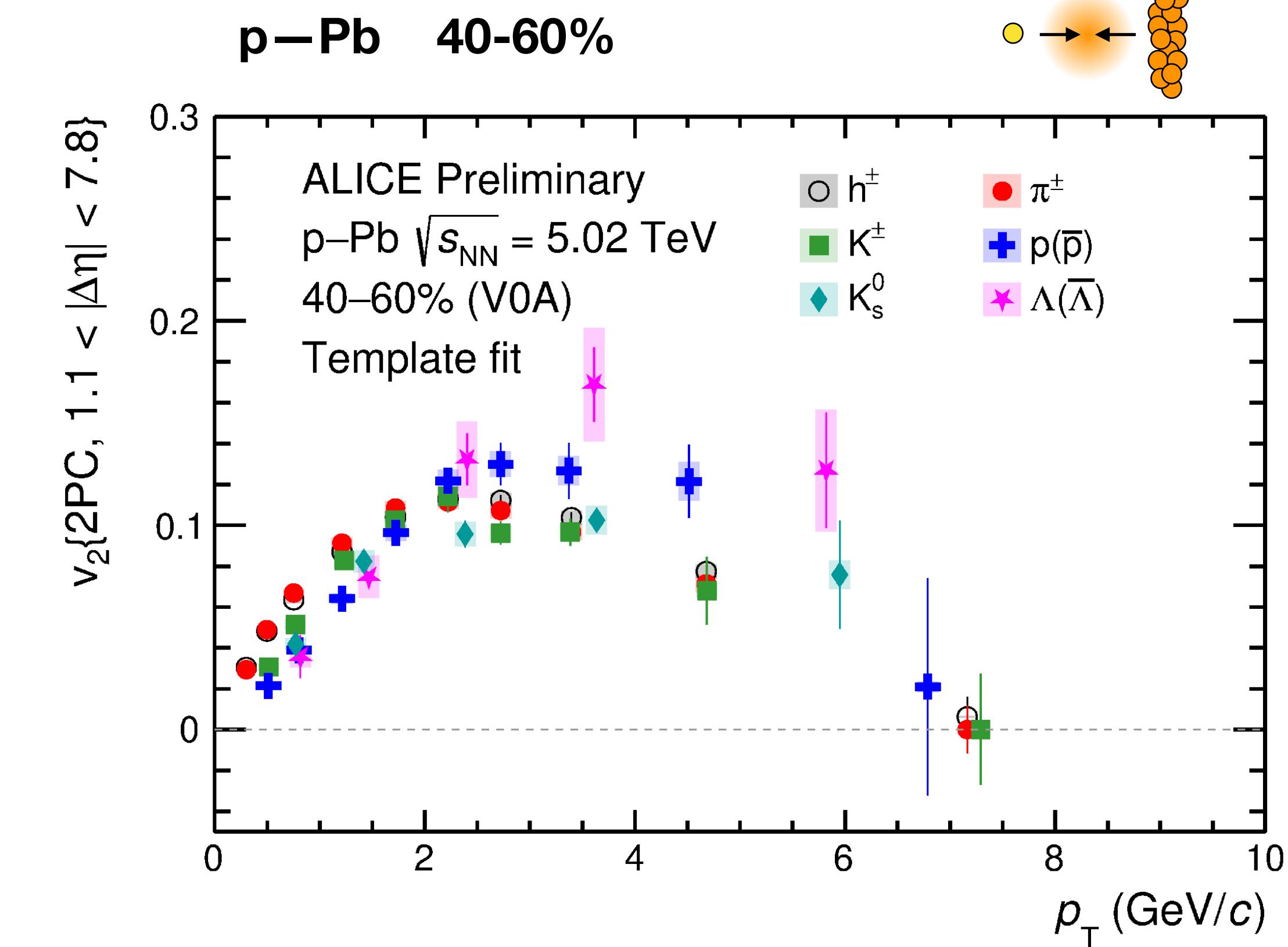
Features of partonic collectivity remain at smaller multiplicities



ALI-PREL-543472

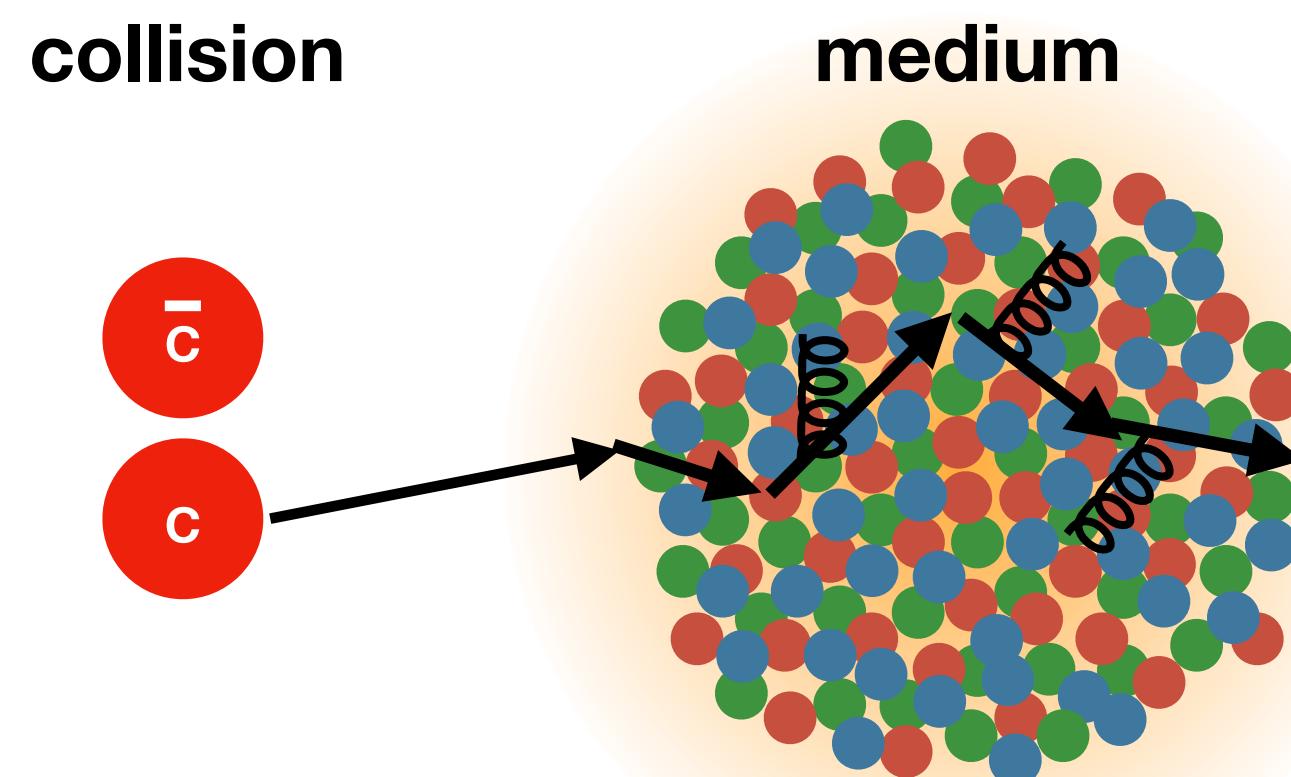
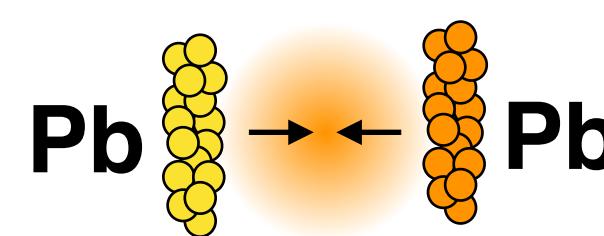
What about pp, e<sup>+</sup>e<sup>-</sup> ?

Hint: check talks at SQM :)



ALI-PREL-543476

# Even charm flows in small systems ?



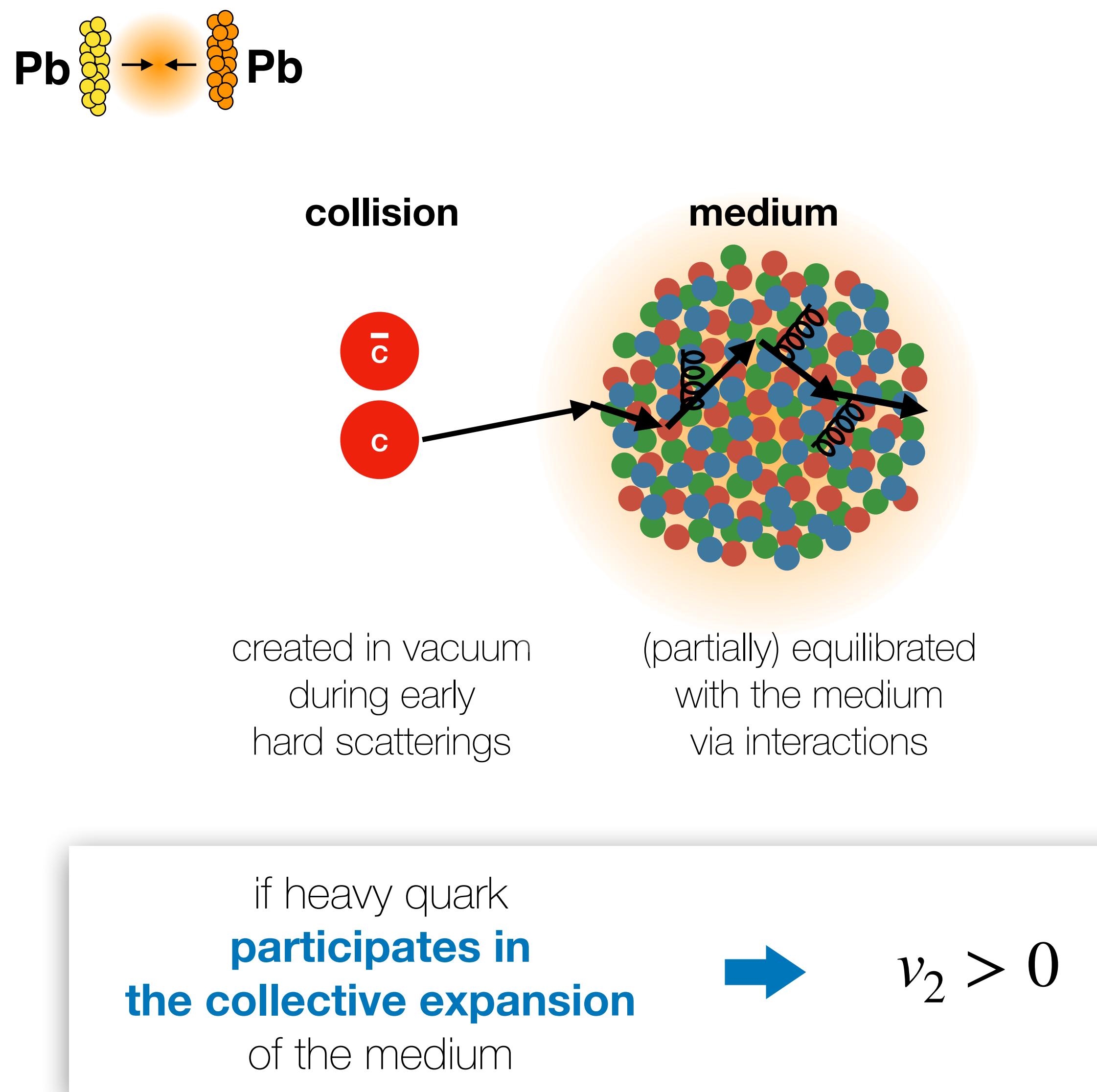
created in vacuum  
during early  
hard scatterings

(partially) equilibrated  
with the medium  
via interactions

if heavy quark  
**participates in**  
**the collective expansion**  
of the medium

→  $v_2 > 0$

# Even charm flows in small systems ?

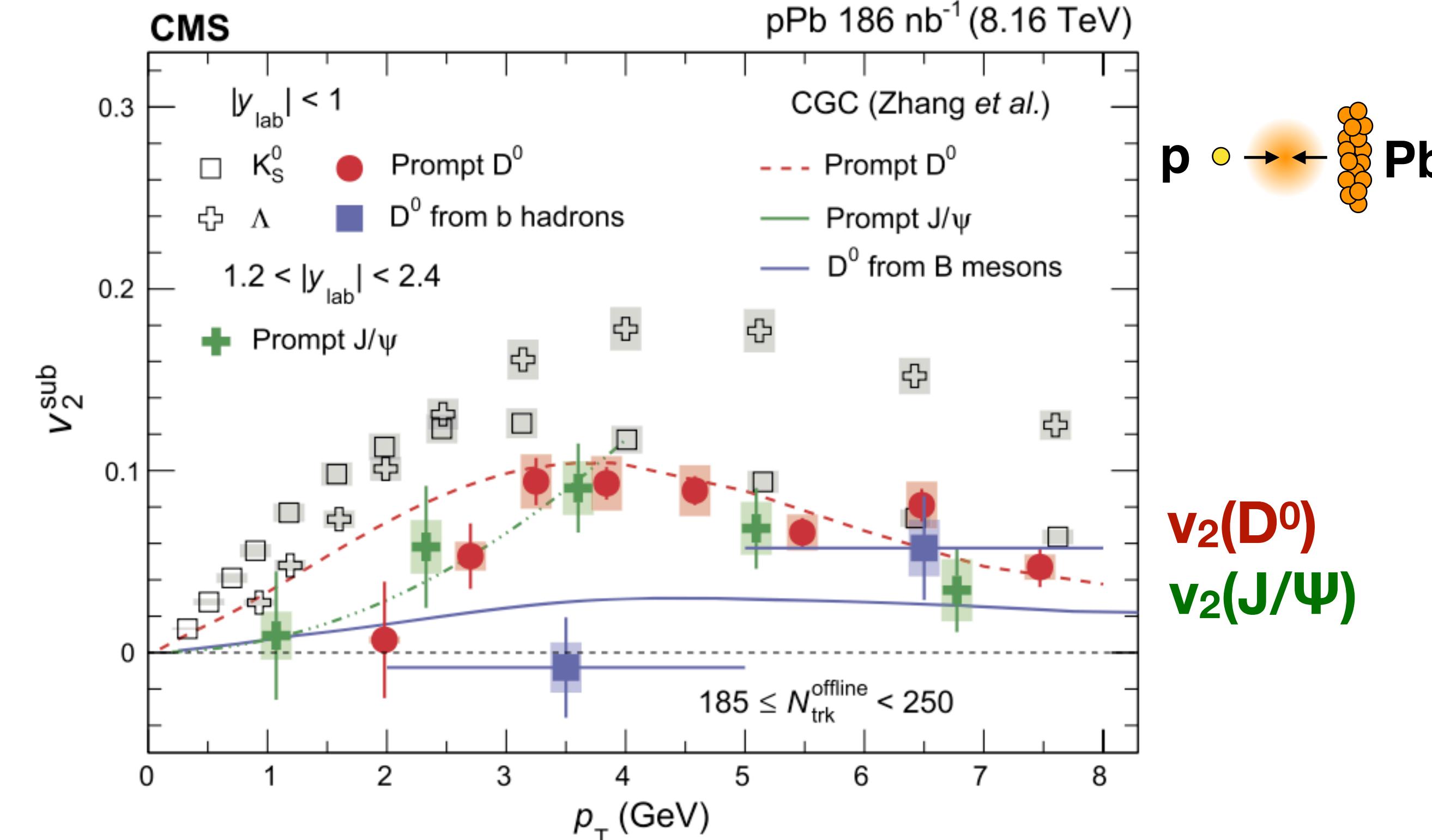


## Nonzero $v_2$ of charm hadrons in pp and p—Pb

Sign of thermalisation with (some) medium ?

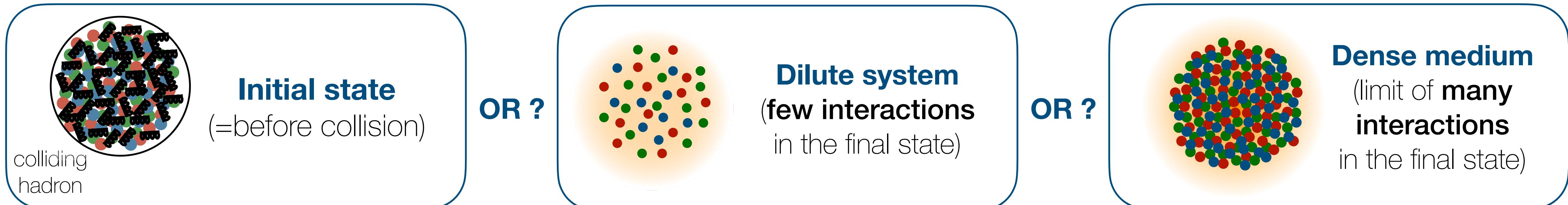
Left-over from initial state effects ?

CMS, PLB 813 (2021) 136036



What about charm baryons? Grouping effect?  
Measurements at low  $N_{\text{ch}}$  ?

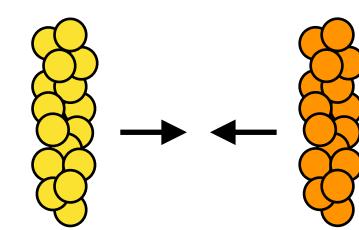
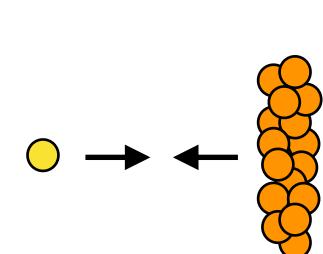
# Signatures of QGP in small systems?



low multiplicity



high multiplicity



## Collectively expanding

### Signatures:

modification of momentum and angular distributions

### Measurements:

anisotropic flow



## Thermalised medium

### Signatures:

modification of hadronisation thermal photon radiation

### Measurements:

particle yields  
particle spectra

## Dense & deconfined medium

### Signatures:

parton energy loss  
quarkonia dissociation

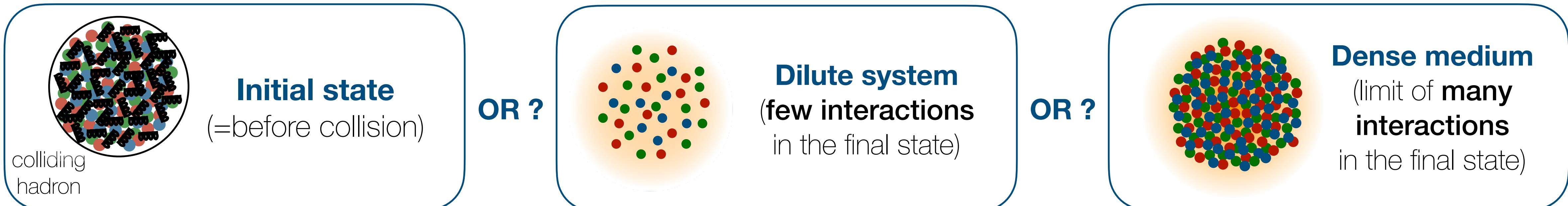
More about this topic  
in the next talk

### Measurements:

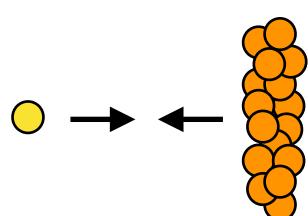
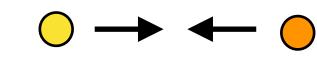
cation factor



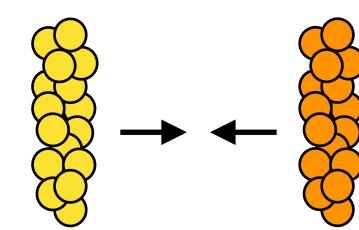
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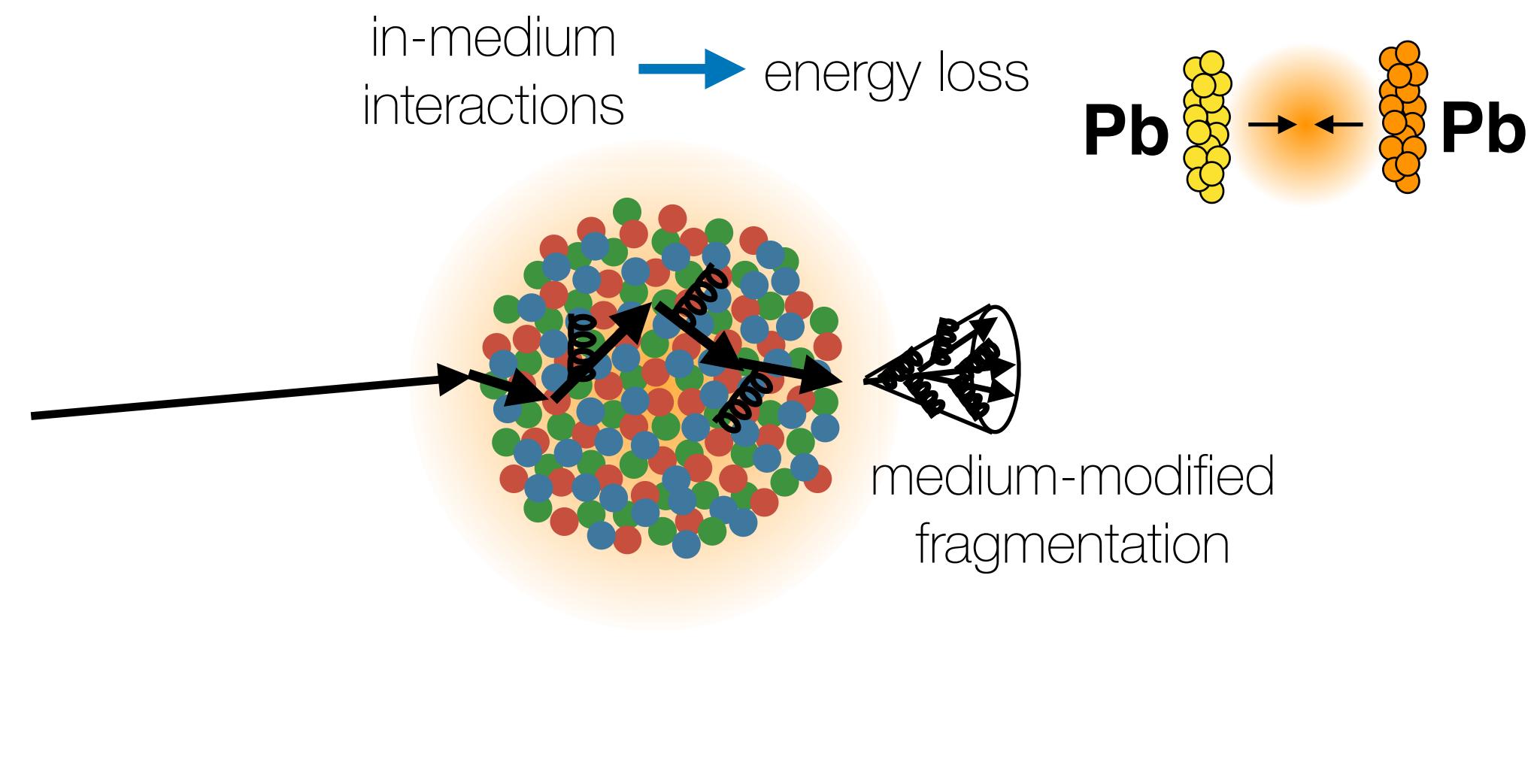
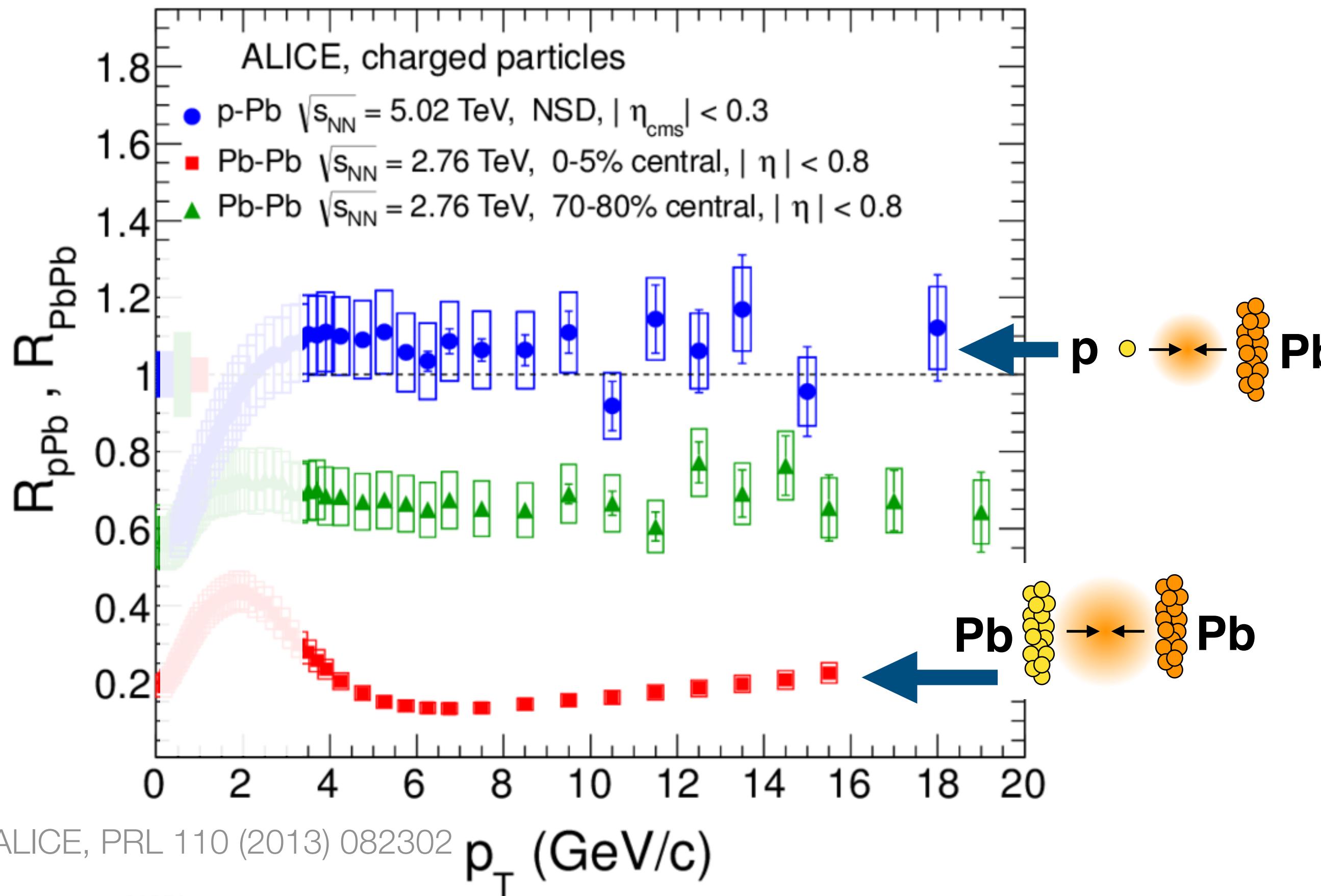
parton energy loss  
quarkonia dissociation

### Measurements:

nuclear modification factor



# Parton energy loss in p-Pb collisions?



## Absence of suppression in p—Pb collisions

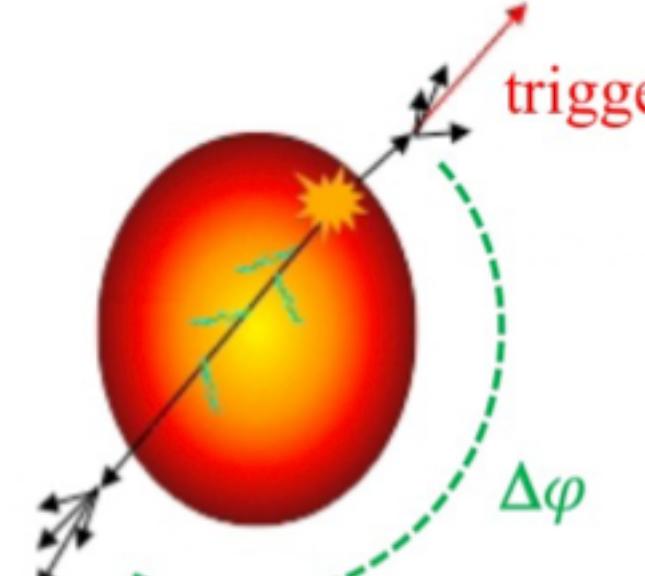
Does it mean absence of parton energy loss in small systems?

Note: both ALICE and ATLAS observe non-zero  $v_2$  of (mini)-jets and high- $p_T$  hadrons

ALICE, arXiv: 2212.12609  
ATLAS, EPJC (2020) 80:73

# Other way to address parton energy loss

hadron - jet acoplanarity

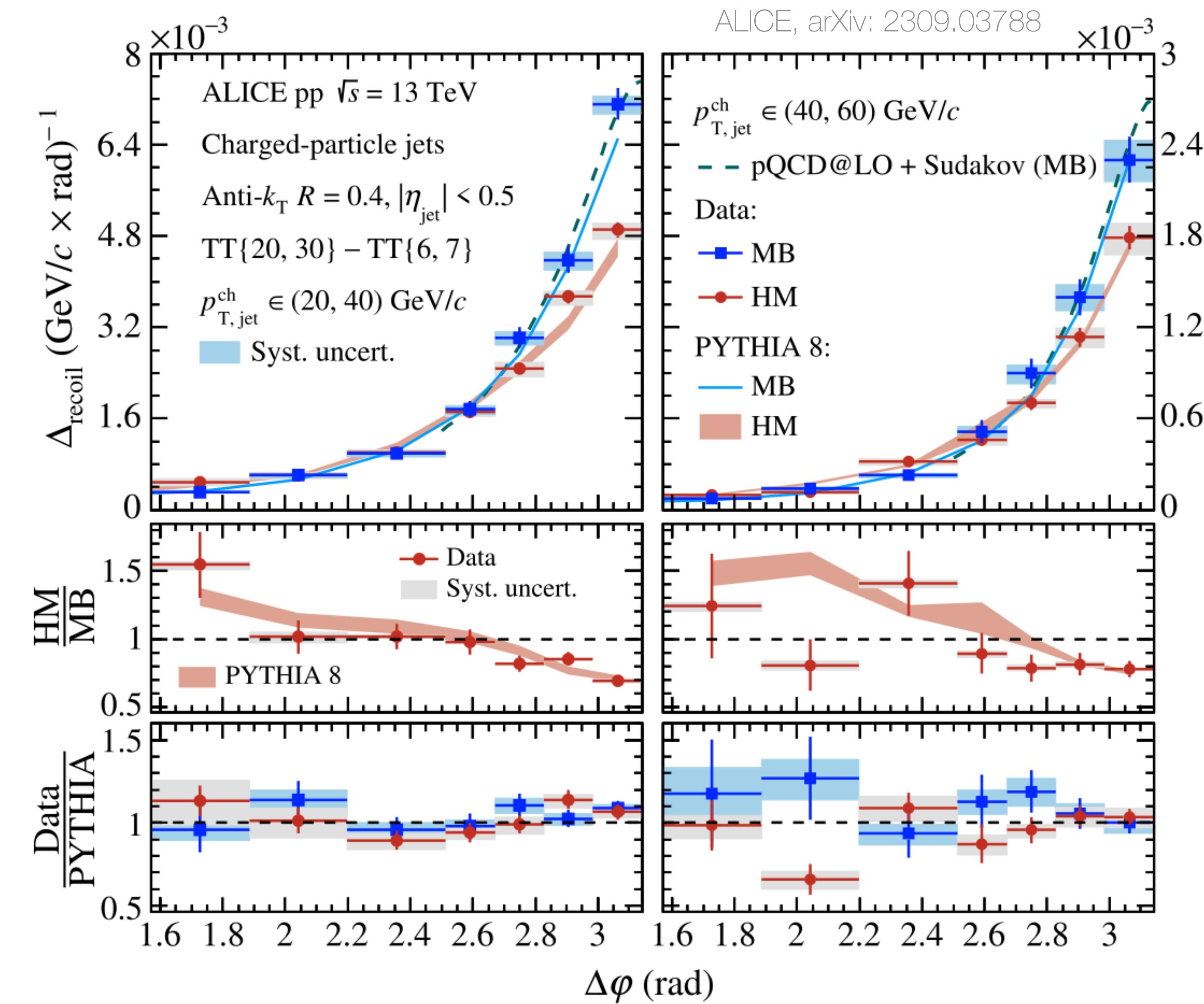


looking at broadening/suppression  
of the recoiling jet  
w.r.t. trigger high- $p_T$  hadron

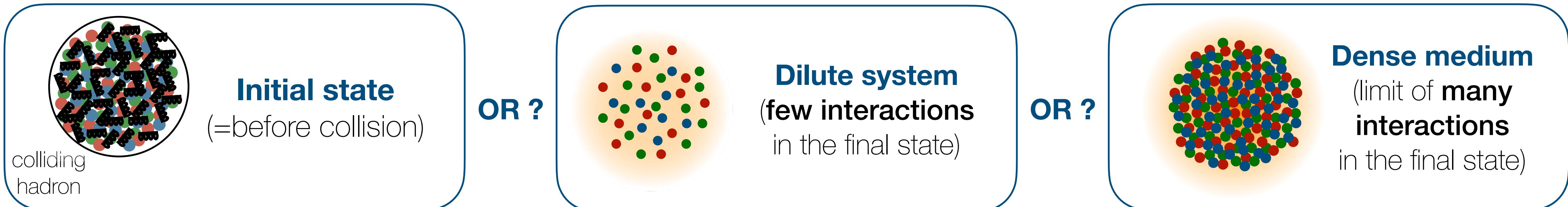
$$\Delta_{\text{recoil}}(p_T, \Delta\phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N_{\text{jet}}}{dp_{T,\text{jet}}^{\text{ch}} d\Delta\phi} \Big|_{p_{T,\text{trig}} \in \text{TT}_{\text{Sig}}} - c_{\text{Ref}} \times \frac{1}{N_{\text{trig}}} \frac{d^2 N_{\text{jet}}}{dp_{T,\text{jet}}^{\text{ch}} d\Delta\phi} \Big|_{p_{T,\text{trig}} \in \text{TT}_{\text{Ref}}}$$

**No confirmation of parton energy loss yet**

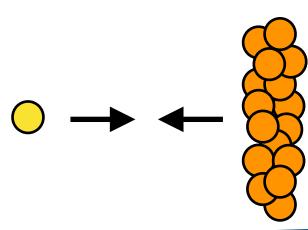
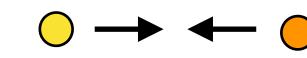
The effect is reproduced with PYTHIA Monash



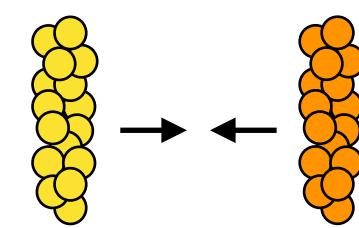
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~~parton energy loss~~  
quarkonia dissociation

### Measurements:

nuclear modification factor



# How sure are we about the QGP hypothesis?

## Standard heavy-ion paradigm of flow:

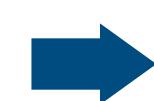
### initial geometry

(fluctuating nucleon/subnucleon distributions)



### final state interactions

(strings, partons, hadrons, ...)



### collective correlations

(flow)

Is the underlying physics of ***small & dilute*** in essence the same as in ***large & dense?***

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## Standard heavy-ion paradigm of flow:

### initial geometry

(fluctuating nucleon/subnucleon distributions)



### final state interactions

(strings, partons, hadrons, ...)



### collective correlations

(flow)

Is the underlying physics of **small & dilute** in essence the same as in **large & dense**?

NO

Alternative explanations (**initial gluon momentum correlations - CGC**) ruled out / not dominant

- Such correlations may vanish very quickly, or are excluded from measurements by applying  $\Delta\eta$  gaps

Schenke, Schlichting, Singh, PRD 105, 094023 (2022)

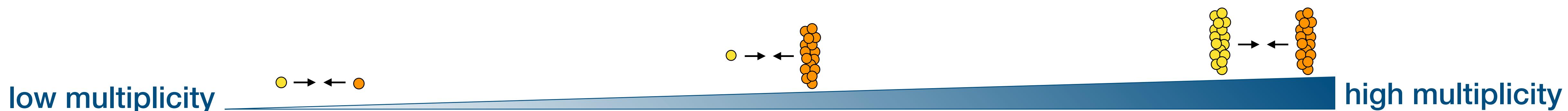
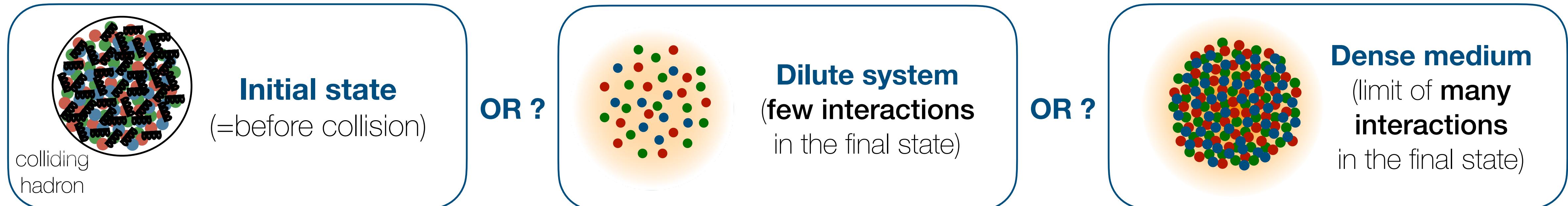
seems to be the preferable option (?)

**YES**

Flow built as a **response to initial geometry**

- But, does this mean that we accept hydro-like picture down to minimum bias pp collisions?
- Hydrodynamics has its limitations

# The big picture of small systems



... should we expect jet quenching?

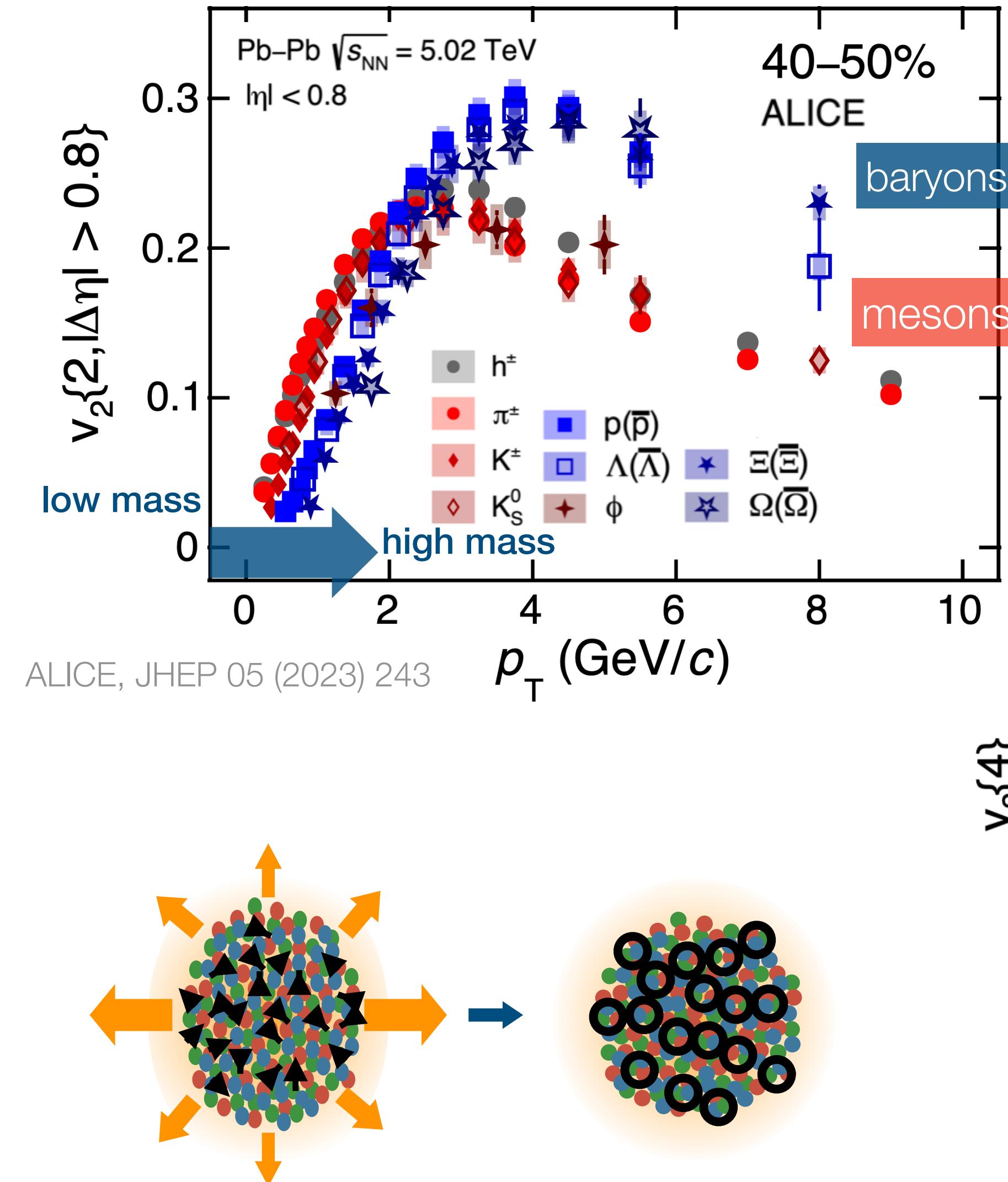
... should we expect to see any thermal radiation?

... should we expect to see any quarkonia dissociation?

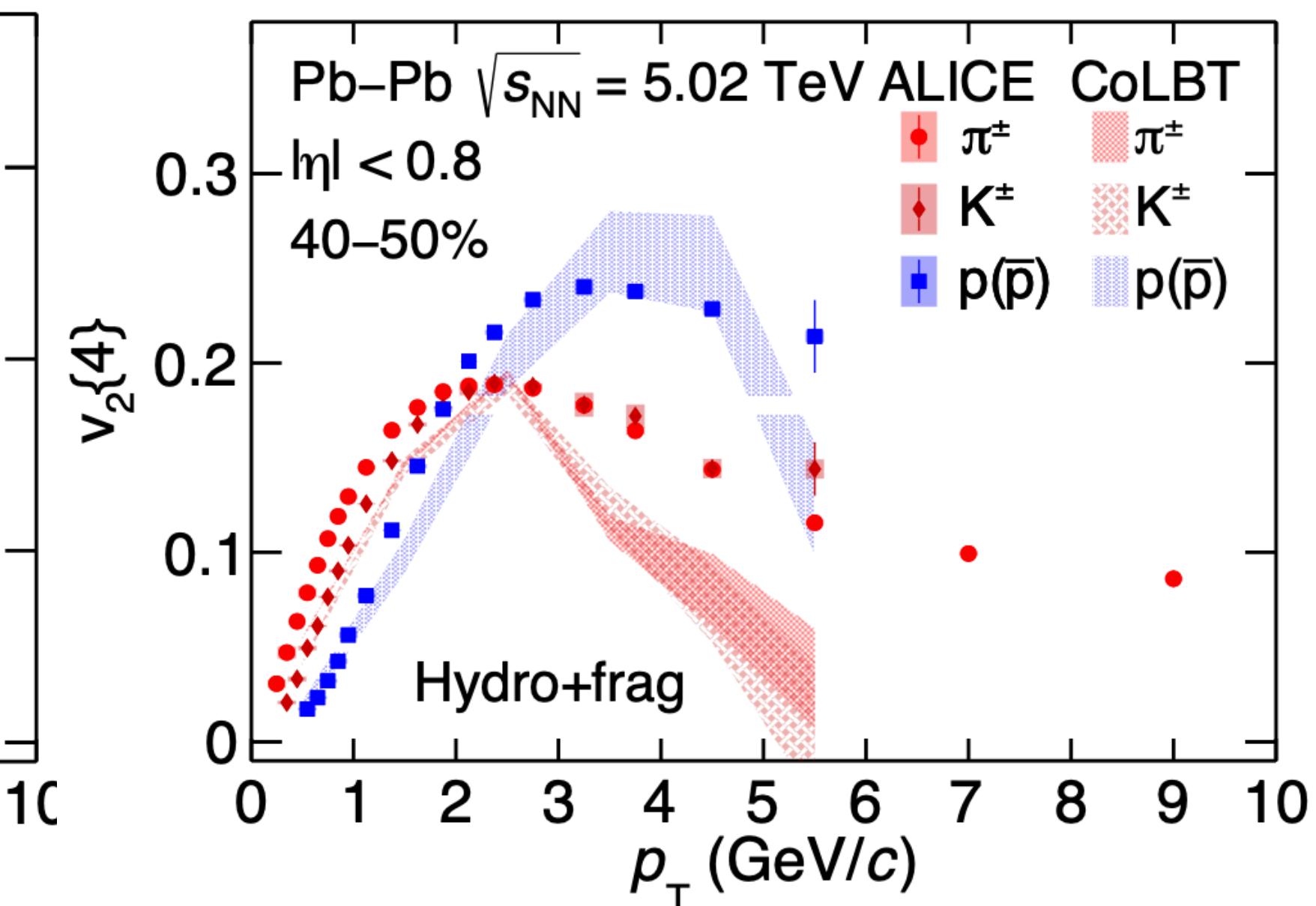
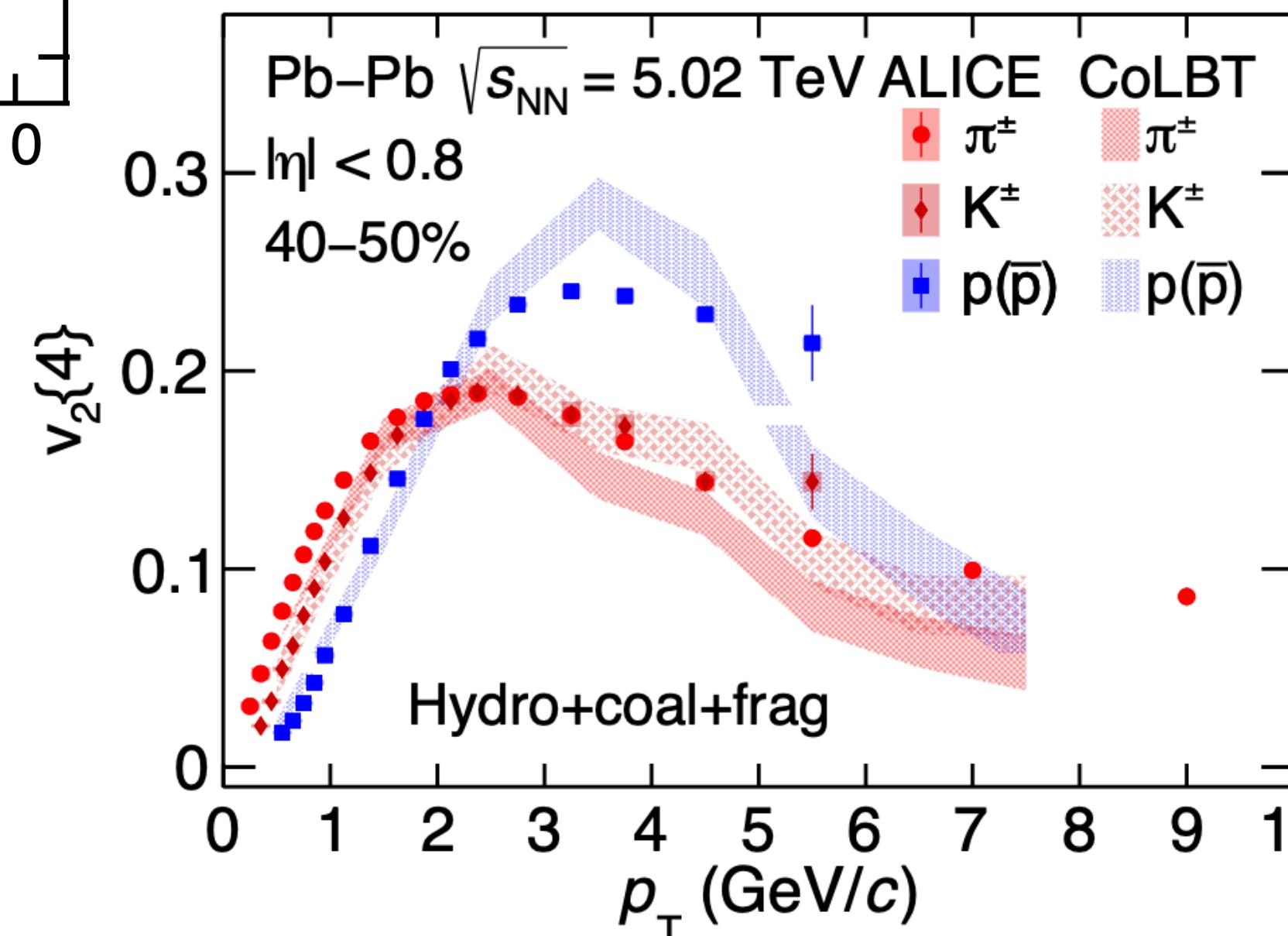
**Can we reach a unified picture of QCD collectivity across system size?**

# Backup

# Mass dependence of momentum distributions



- Anisotropic flow described by model that includes **hydrodynamics + coalescence** + fragmentation (at high  $p_T$ )
  - Low- $p_T$ : interplay of radial and anisotropic expansion → **mass ordering**
  - Intermediate- $p_T$ : coalescence → **particle-type grouping**



# Anisotropic flow in small systems

B. Schenke, Ch. Shen, P. Tribedy, PLB 803 (2020) 135322

B. Schenke, QM19

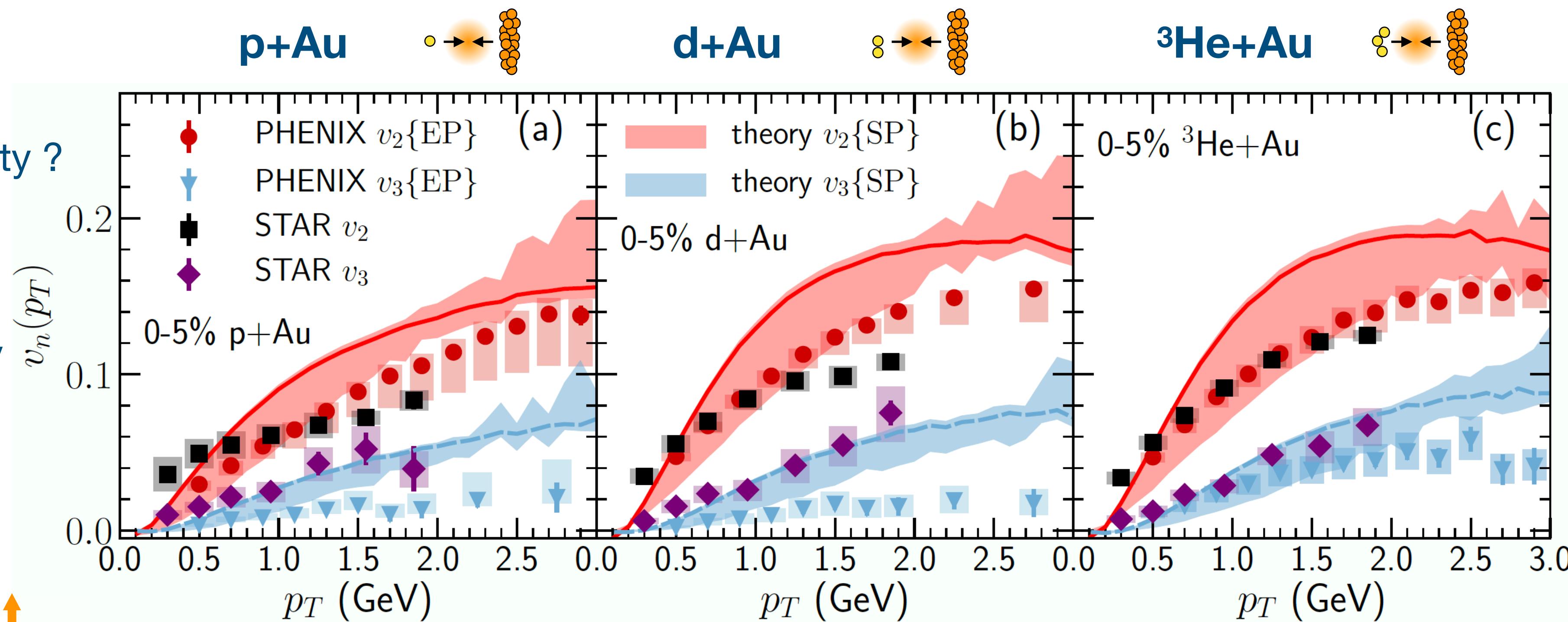
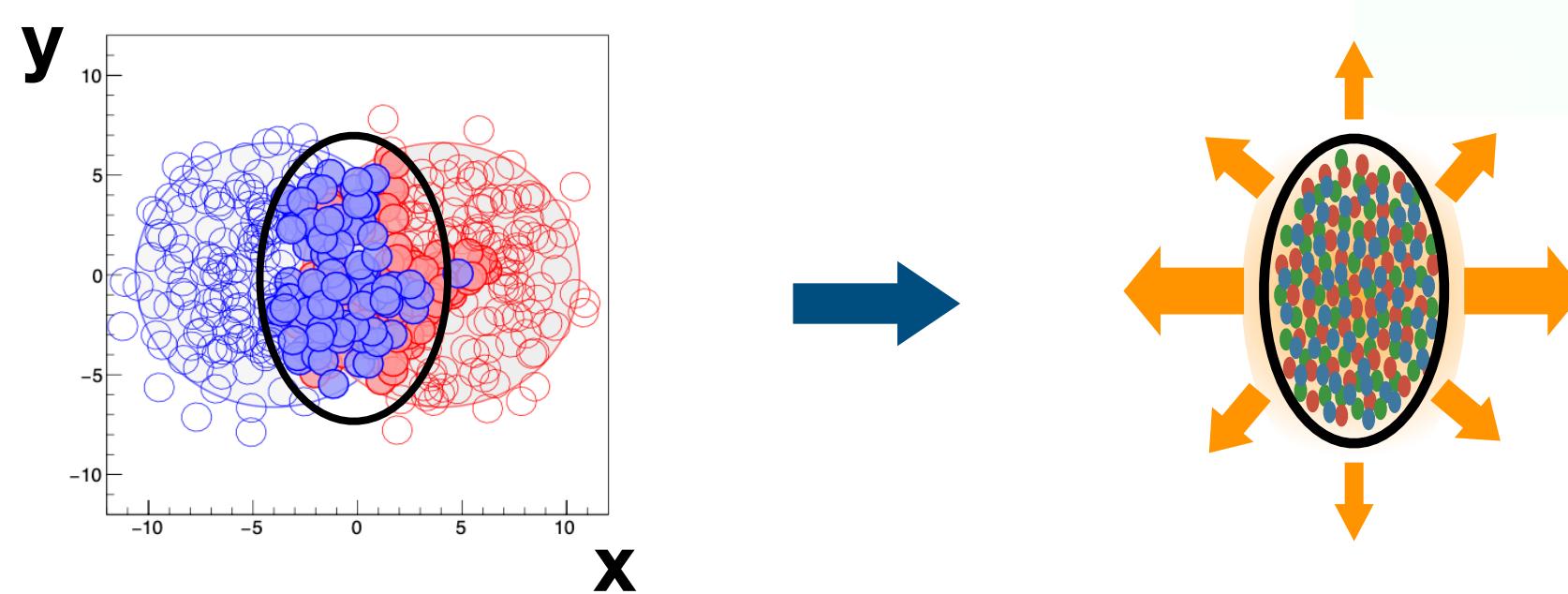
No sharp turn-off

as a function of multiplicity

We do not “switch-off” collectivity ?

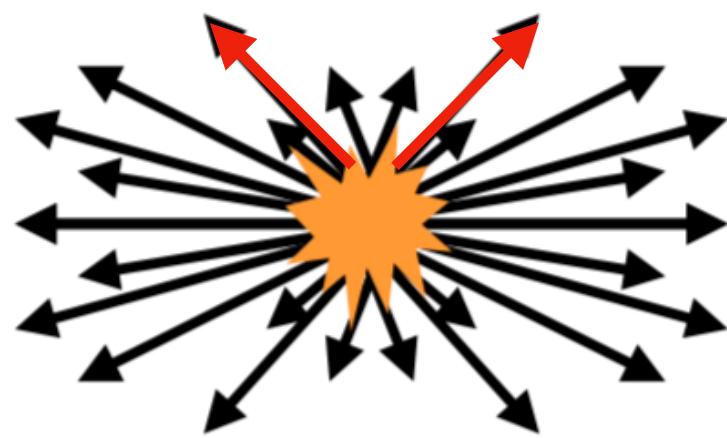
Response to initial geometry

Subnucleon fluctuations  
important in small systems

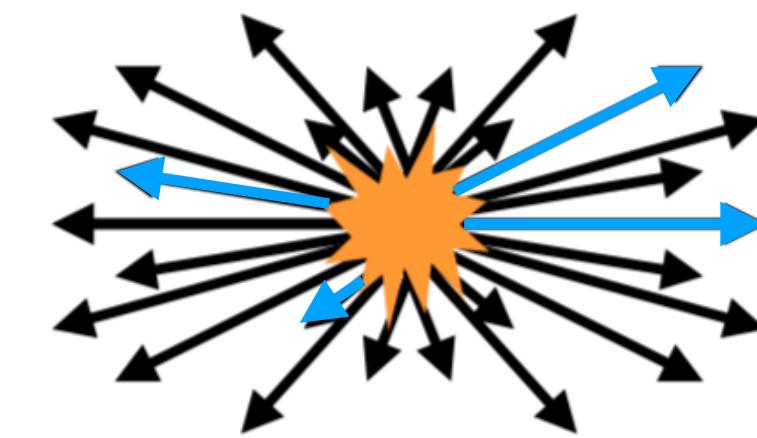


# Anisotropic flow in heavy-ion collisions

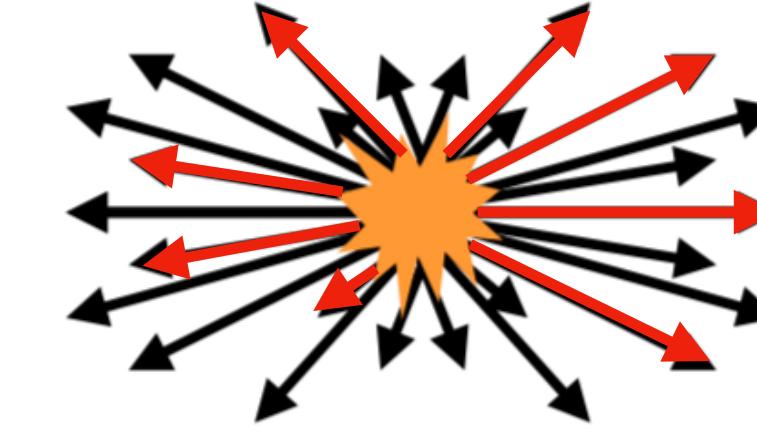
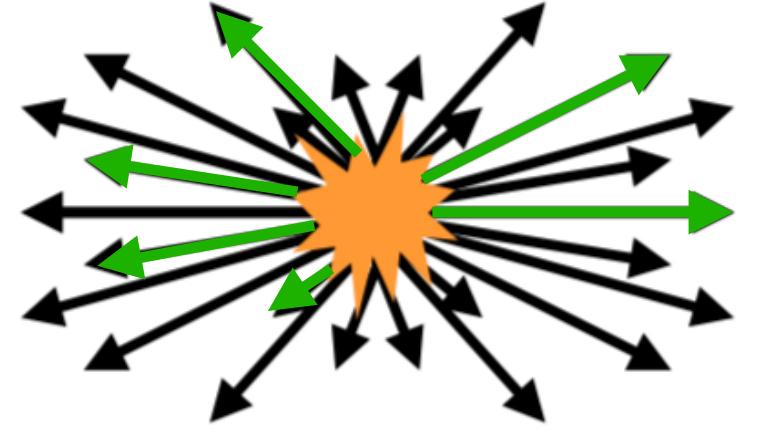
number of particles used to quantify  $v_n$ :



$v_2\{2\}$



$v_2\{4\} \sim v_2\{6\} \sim v_2\{8\}$



$v_2$

various processes can give  
two-particle correlation signal

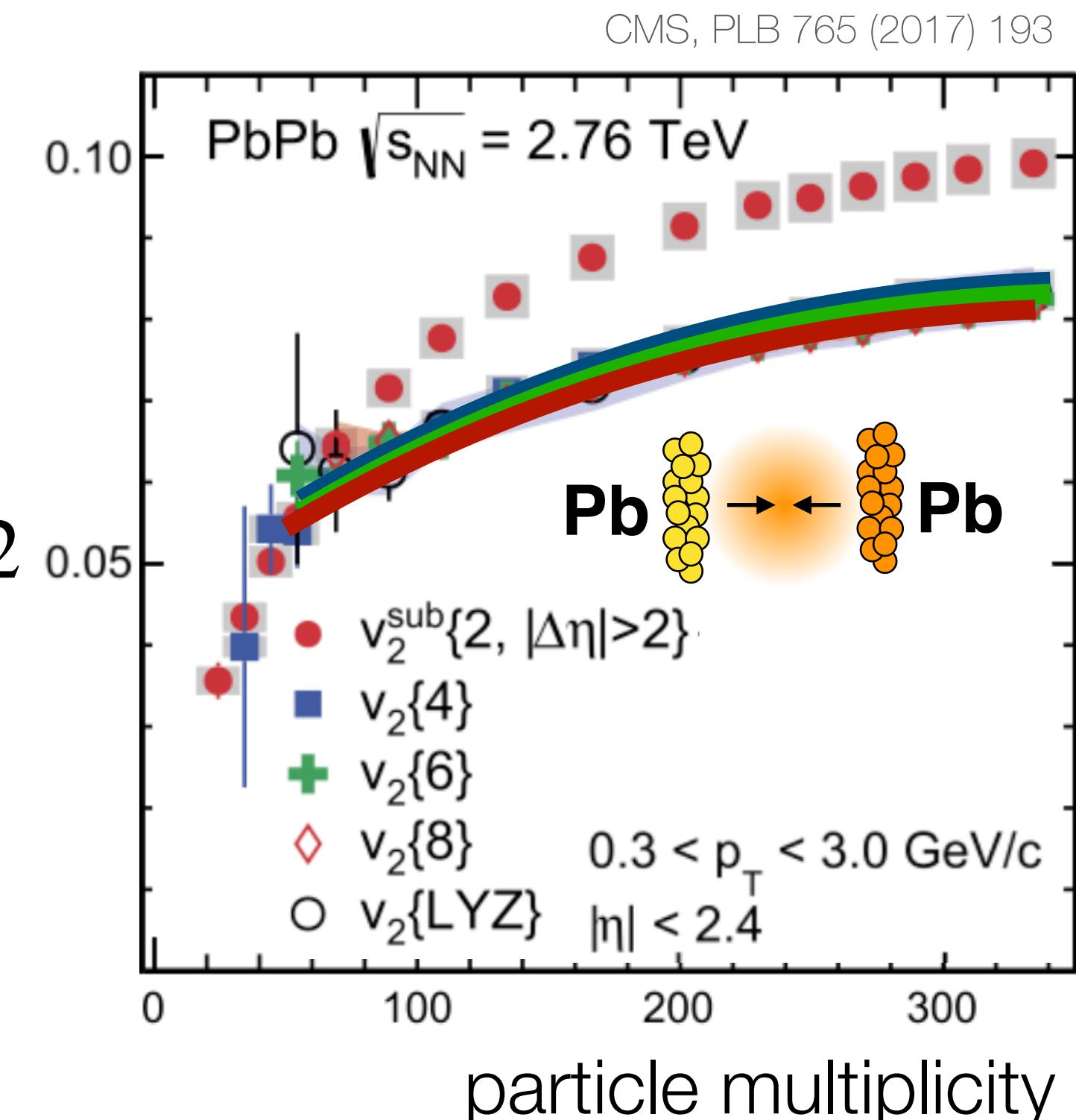
we focus on multiparticle  
correlations



No matter how many particles we use,  
they will show the same signal



**genuine collectivity**



# Collectivity observed across systems

ATLAS, PRC 97, 024904 (2018)  
ALICE, PRL 123, 142301 (2019)

**Small systems  
exhibit collective  
behavior**

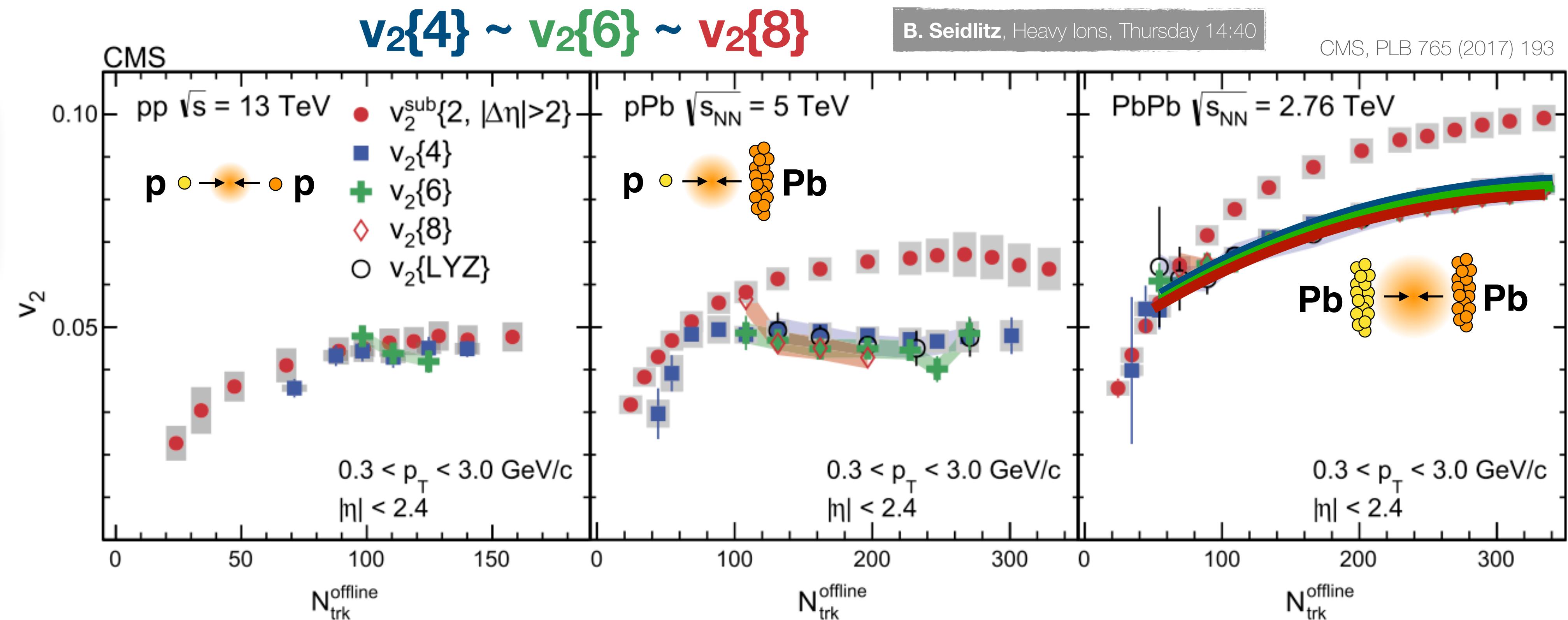


What is the origin  
of collectivity?

$$v_2\{4\} \sim v_2\{6\} \sim v_2\{8\}$$

B. Seidlitz, Heavy Ions, Thursday 14:40

CMS, PLB 765 (2017) 193



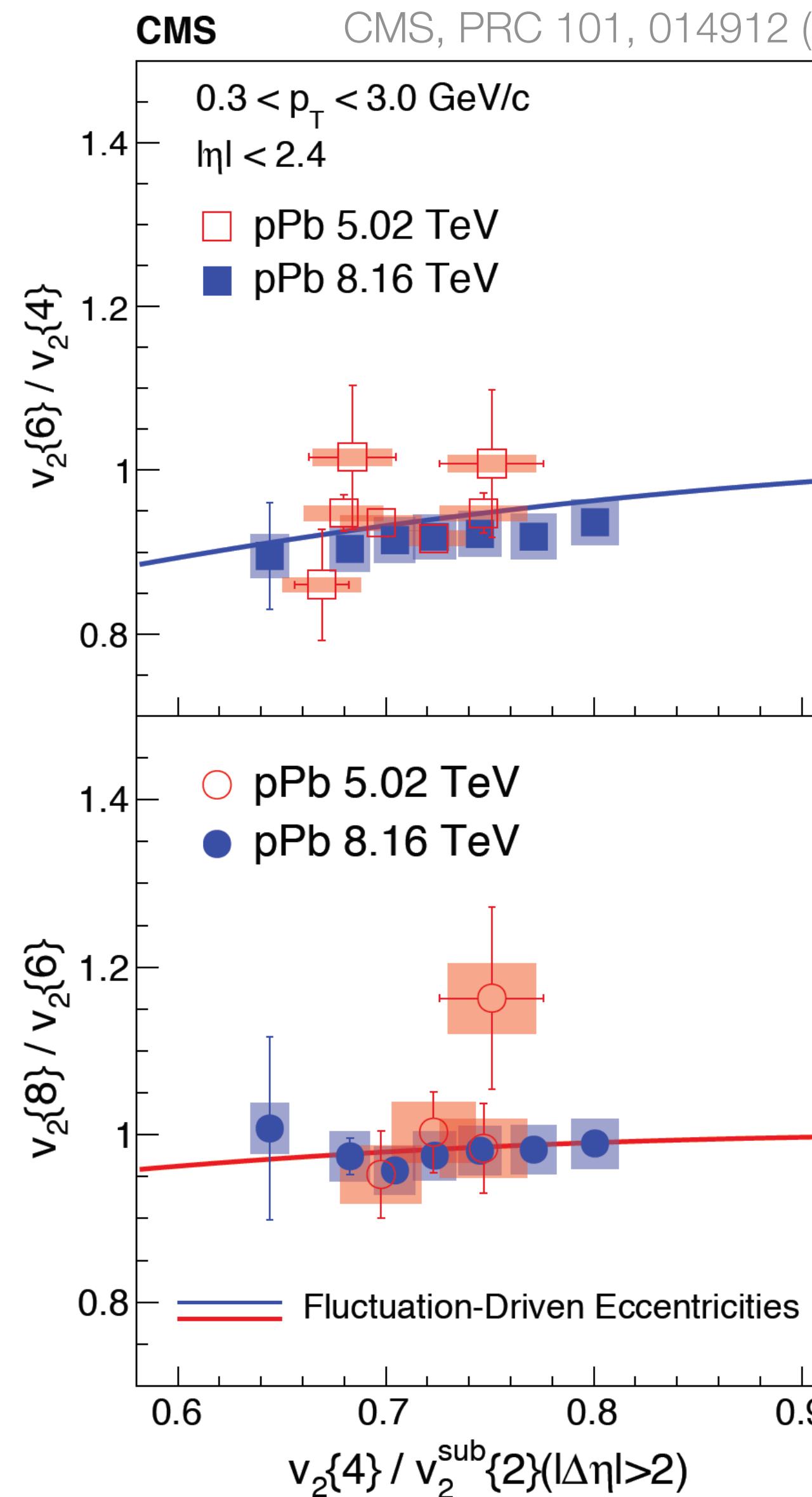
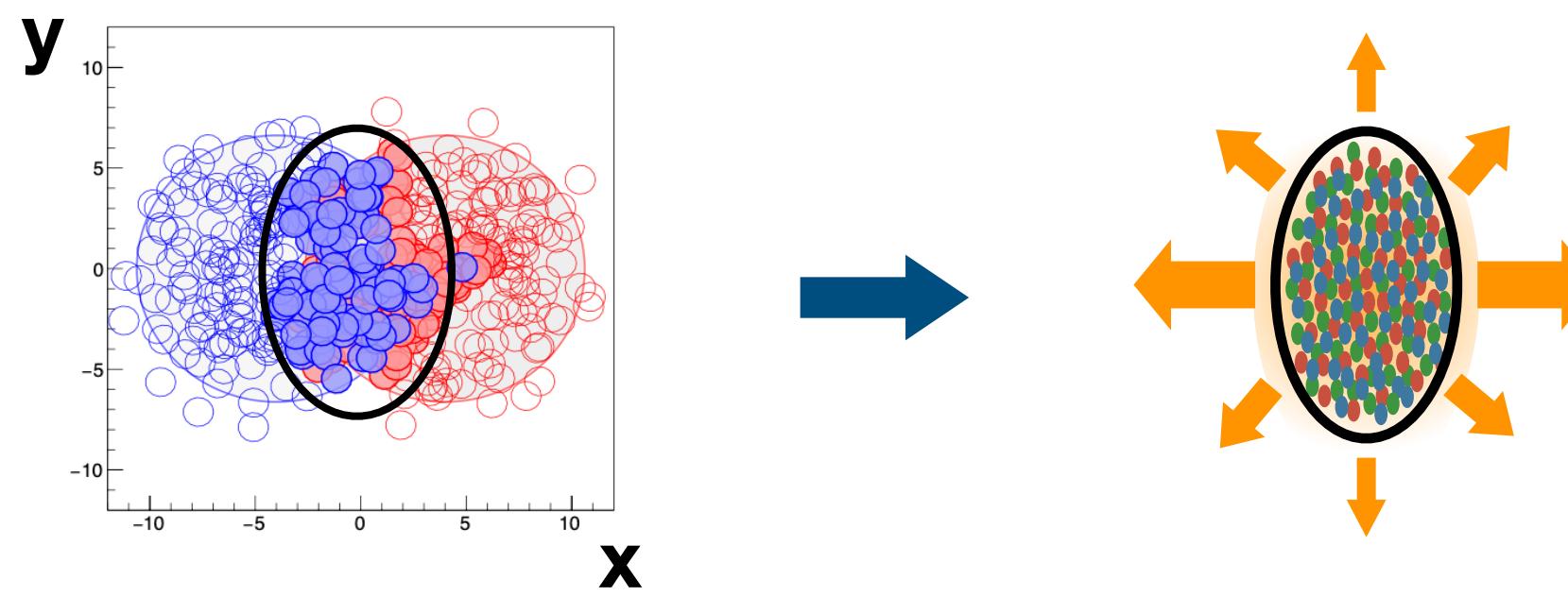
# Anisotropic flow in small systems

**No sharp turn-off  
as a function of multiplicity**

We do not “switch-off” collectivity ?

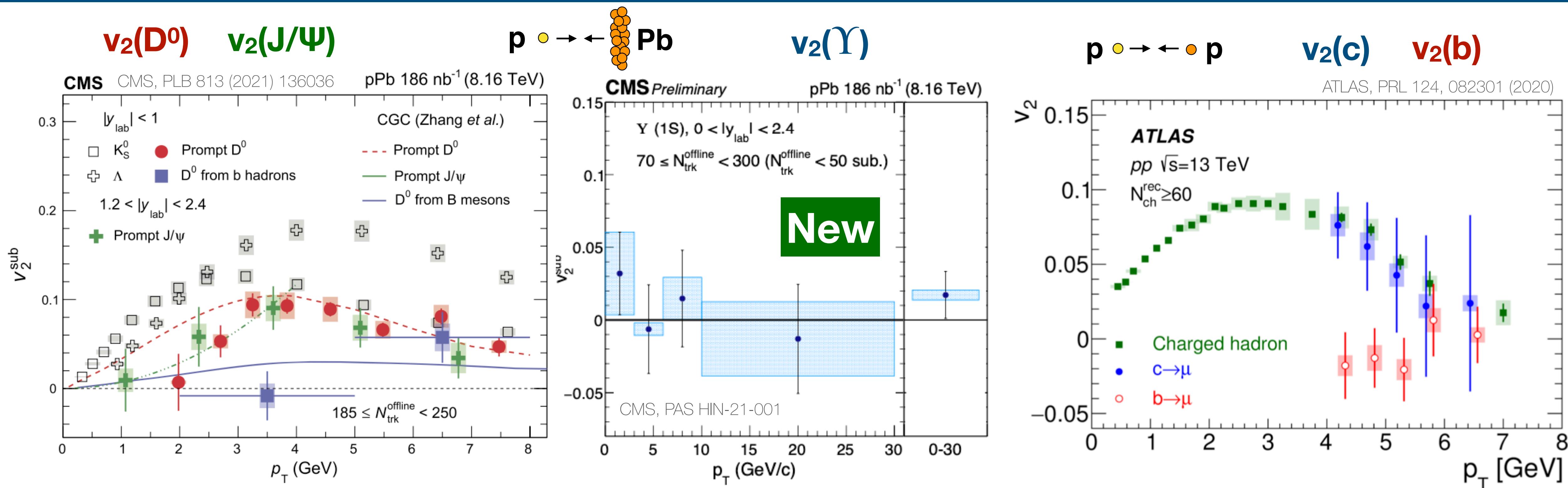
**Response to initial geometry**

Subnucleon fluctuations  
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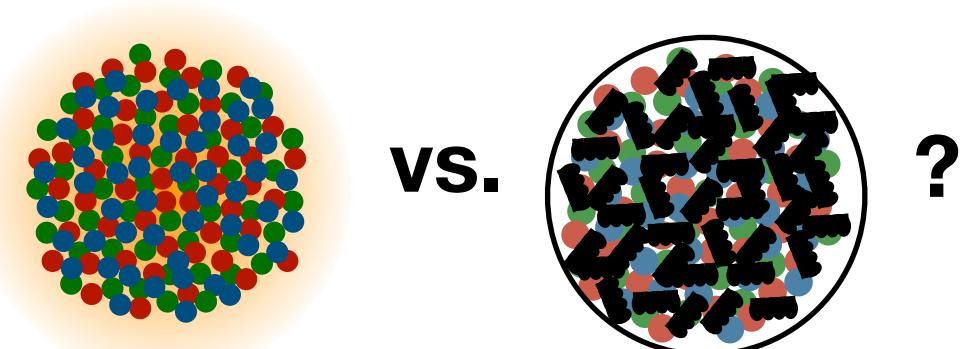
Ratios of multi-particle cumulants  
consistent with geometry-driven assumption

# Do heavy quarks flow in small systems?

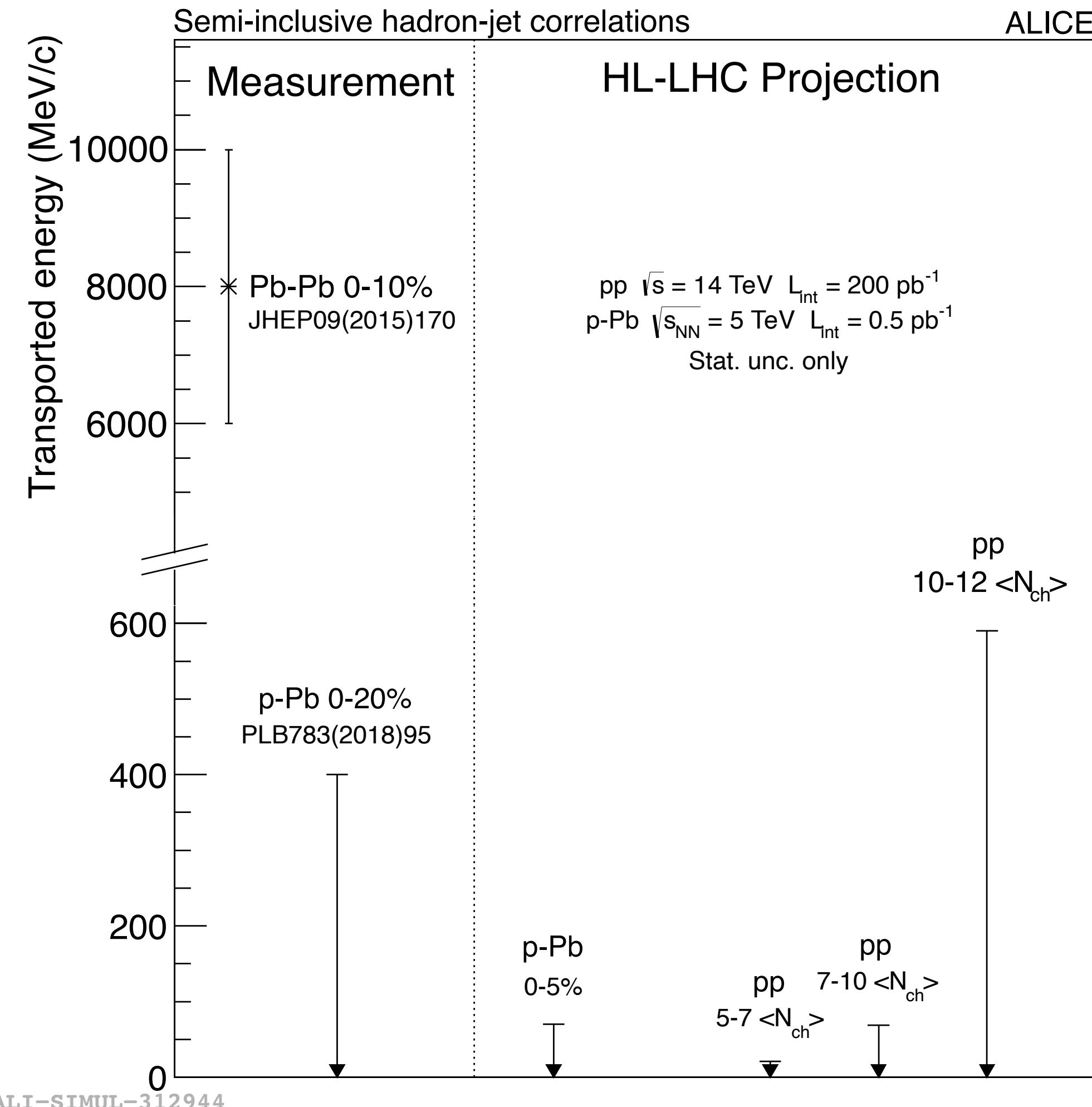


Quantitative description of charm flow  
with the **initial state model**  
(though charm and bottom flow  
predicted to be the same)

Zhang et al., PRD 102, 034010 (2020)



# Parton energy loss in p-Pb collisions?



- If there is parton energy loss in small systems,  
**how big should we expect the signal?**
- Are there other observables with good enough precision to reveal a small signal of parton energy loss?
- **Limits for pp collisions could be set in Run 3**

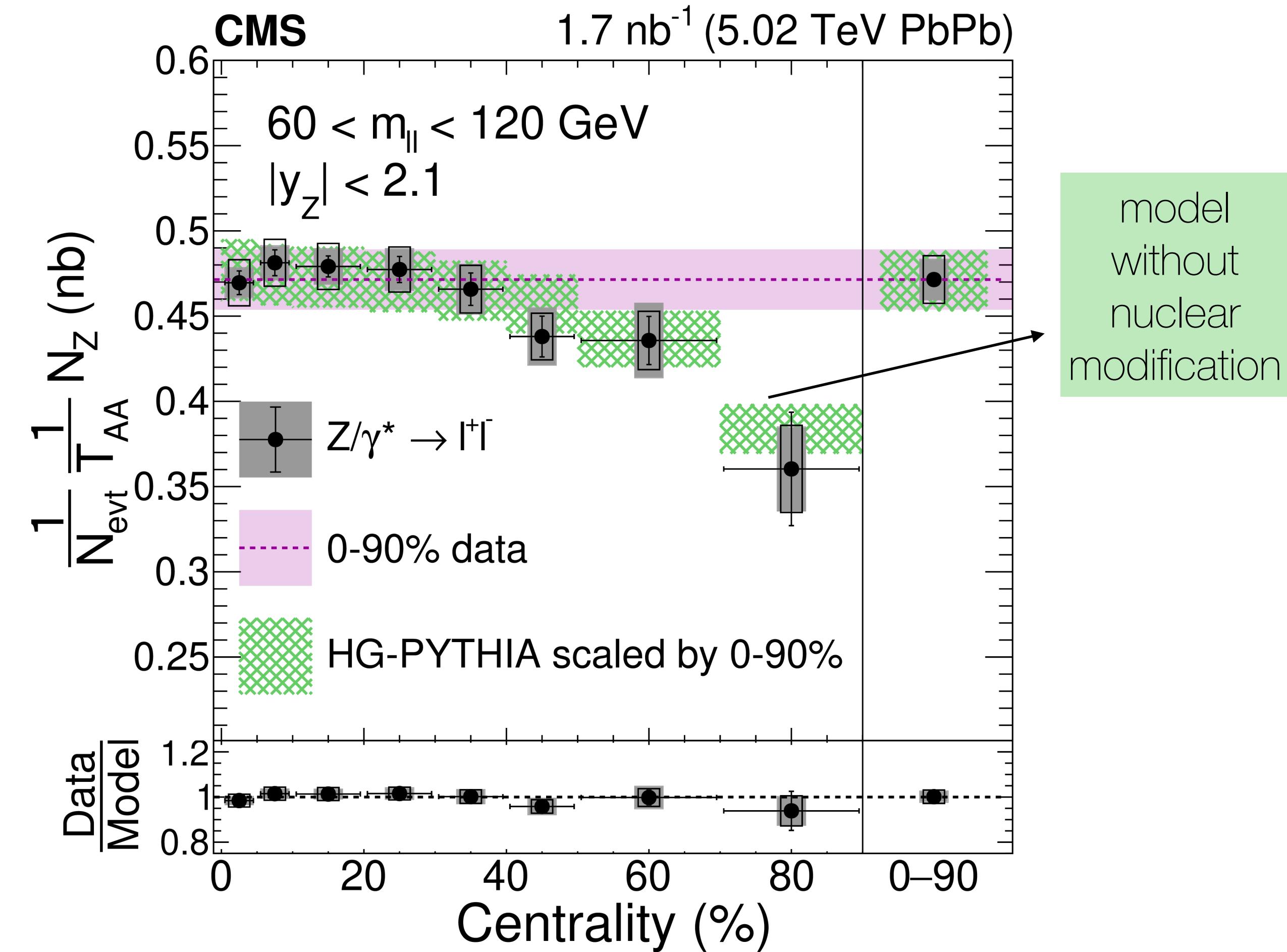
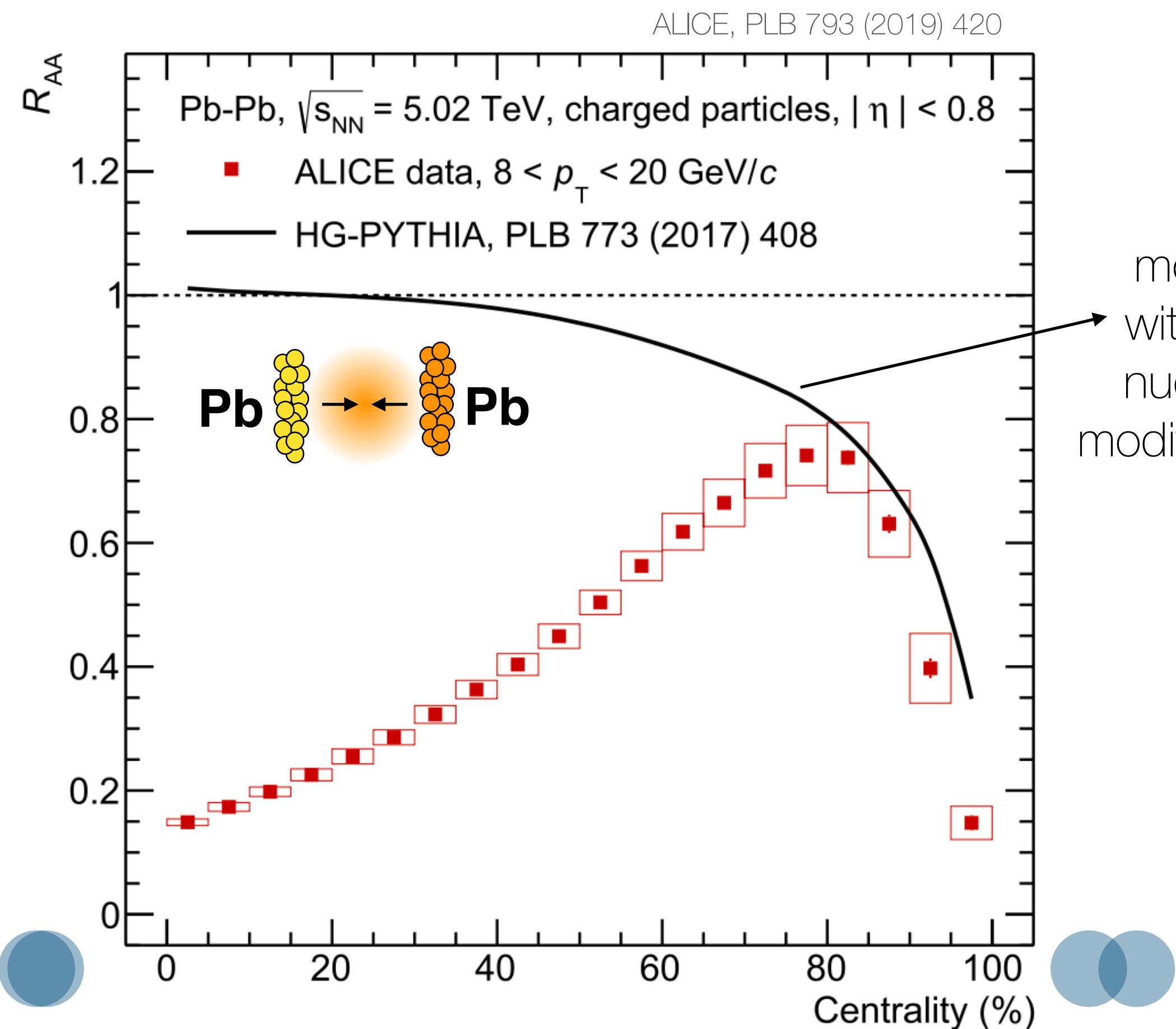
# Parton energy loss in peripheral Pb-Pb

$R_{AA} < 1$  observed all the way to the most peripheral Pb-Pb collisions



Explained by increasing importance of geometry of the overlapping nucleon-nucleon collisions

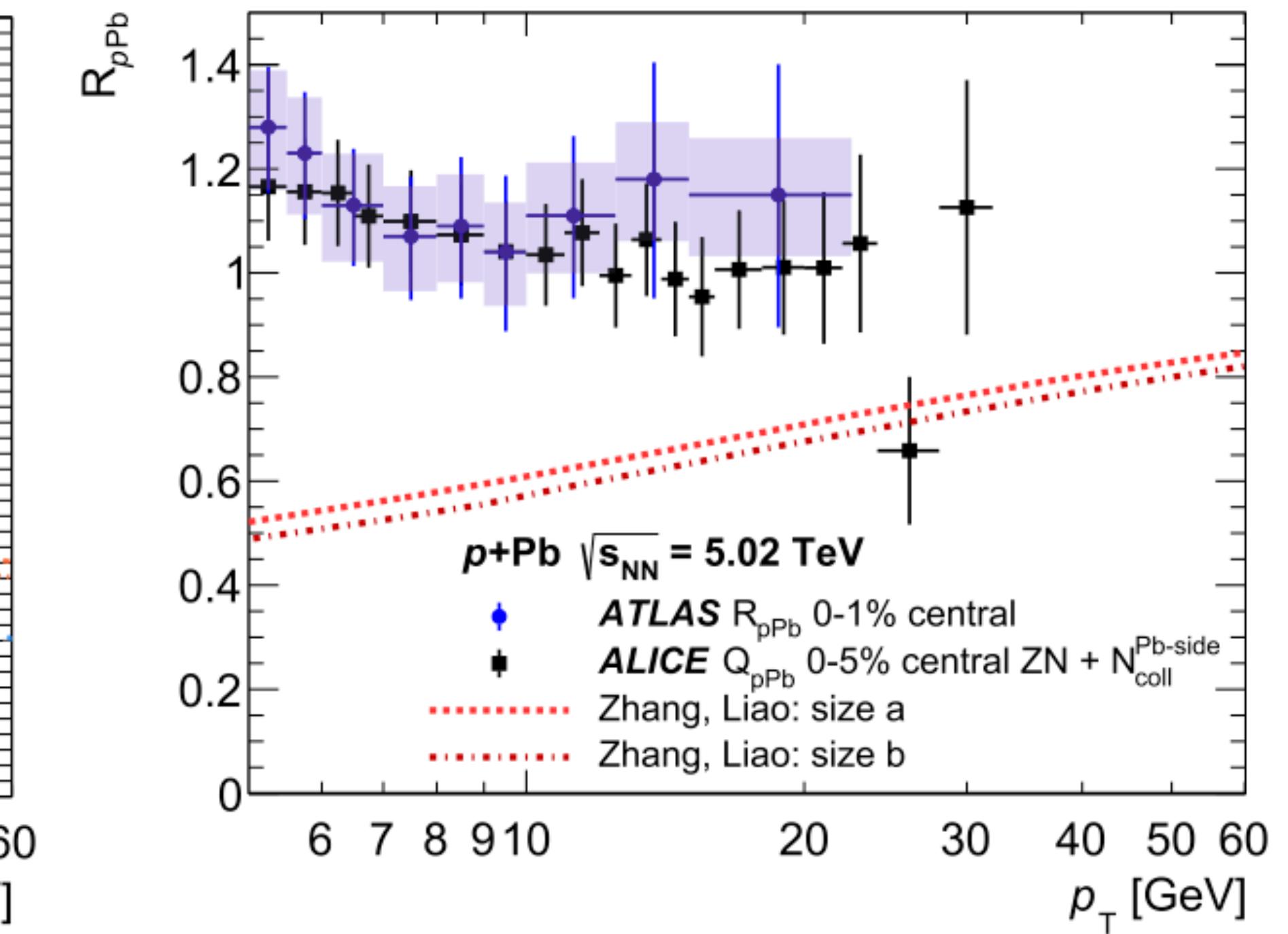
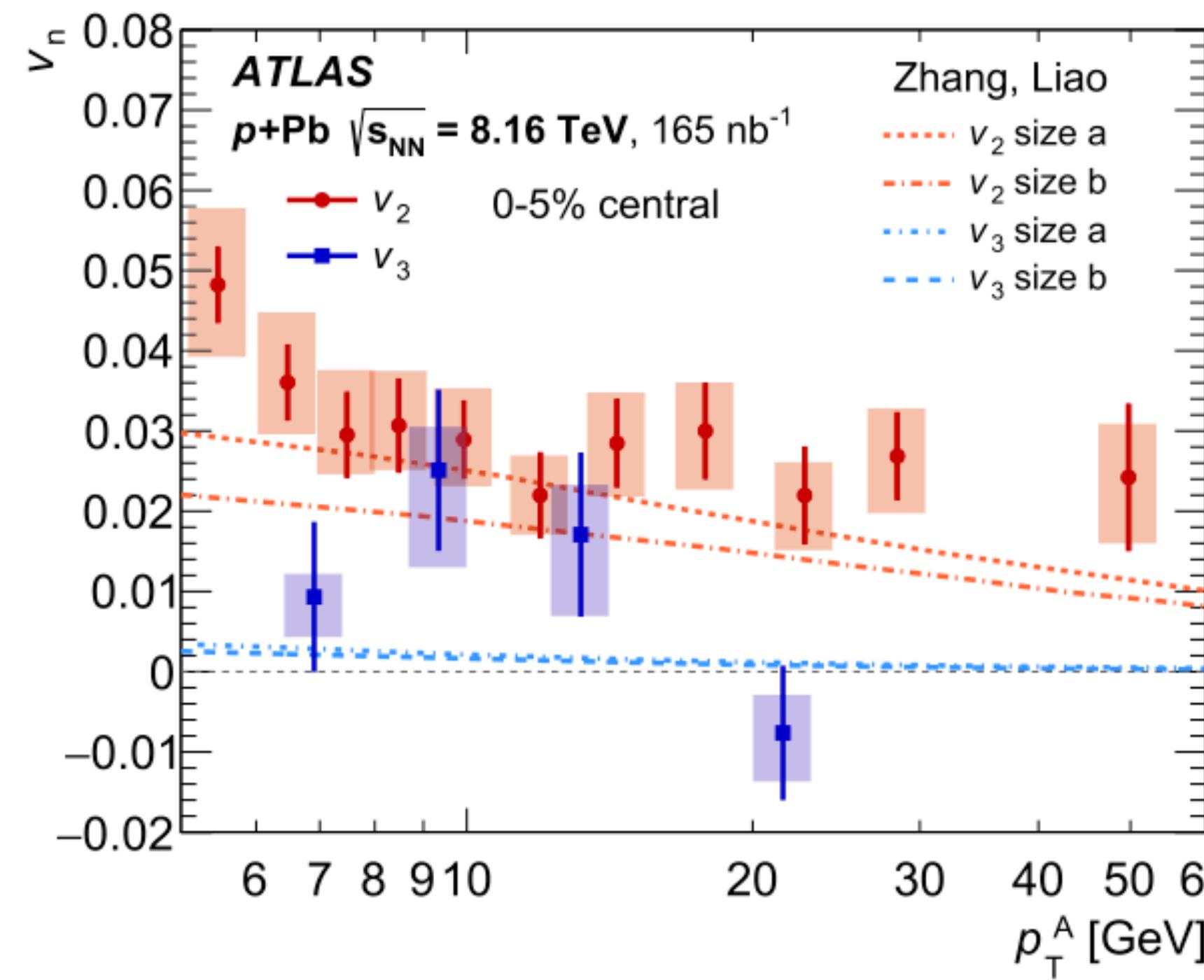
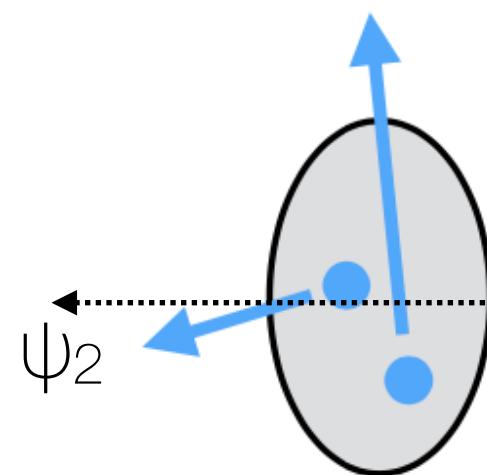
CMS, PRL 127 (2021) 102002



# Other way to address parton energy loss

ATLAS, EPJC (2020) 80:73

Non-zero flow at high  $p_T$   
understood as a consequence  
of path length dependence  
of energy loss



Experiment: no suppression in  $R_{AA}$ , but finite flow at high  $p_T$

Theory: this magnitude of flow at high  $p_T$   
should come with a significant jet quenching

EXPERIMENT	THEORY
$v_2(p_T) > 0$	$v_2(p_T) > 0$
$R_{pPb} \approx 1$	$R_{pPb} < 1$

# IS effects may be important for flow

**Final state effects**

**Initial state effects**

Flow = initial geometry + final state interactions

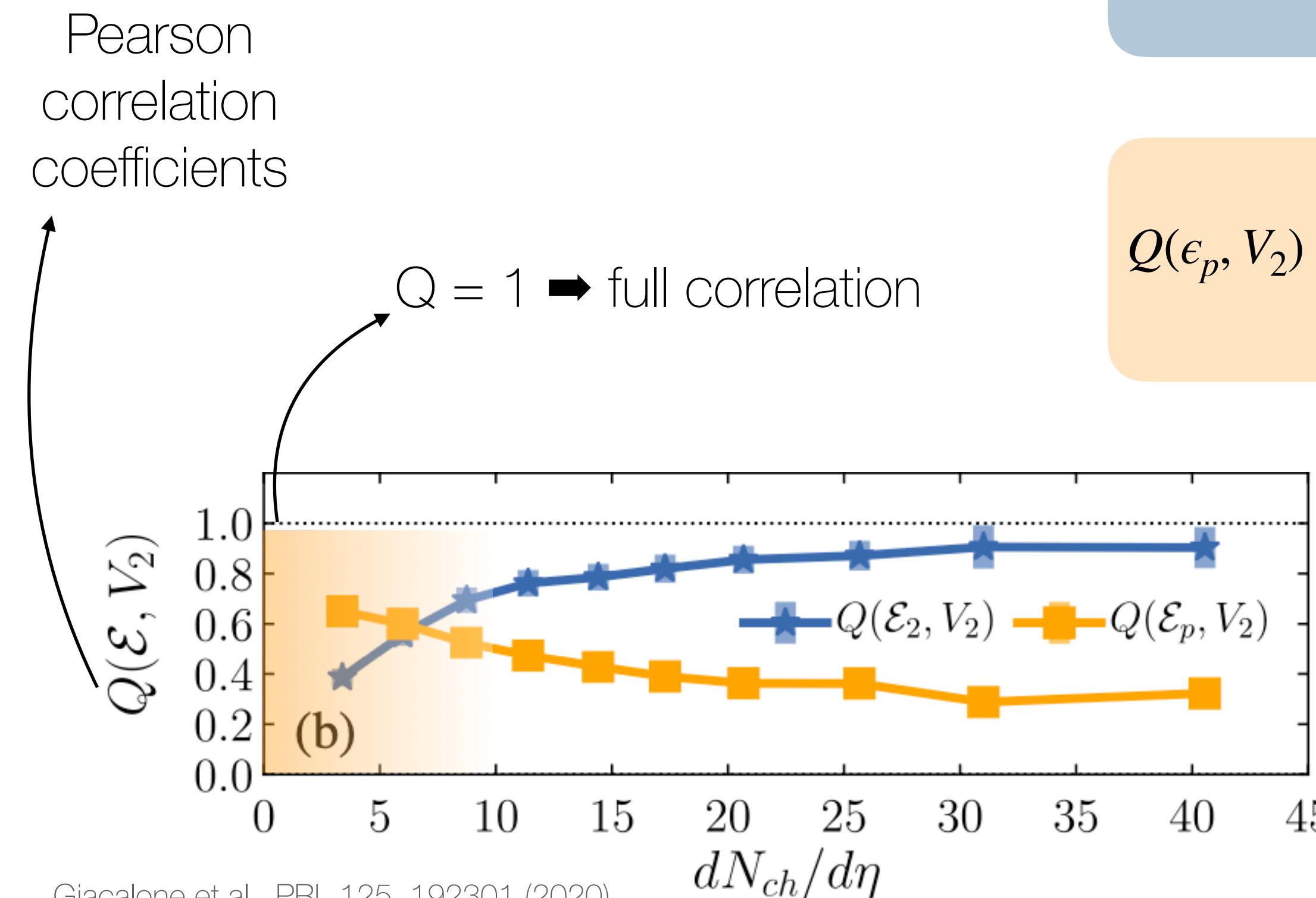
Flow = initial (gluon) momentum correlations

$$Q(\epsilon_2, V_2) = \frac{\text{Re} \langle \vec{\epsilon}_2 \cdot \vec{V}_2^* \rangle}{\sqrt{\langle |\vec{\epsilon}_2|^2 \rangle \langle |\vec{V}_2|^2 \rangle}}$$

correlation of flow with  
initial spatial anisotropy

$$Q(\epsilon_p, V_2) = \frac{\text{Re} \langle \vec{\epsilon}_p \cdot \vec{V}_2^* \rangle}{\sqrt{\langle |\vec{\epsilon}_p|^2 \rangle \langle |\vec{V}_2|^2 \rangle}}$$

correlation of flow with  
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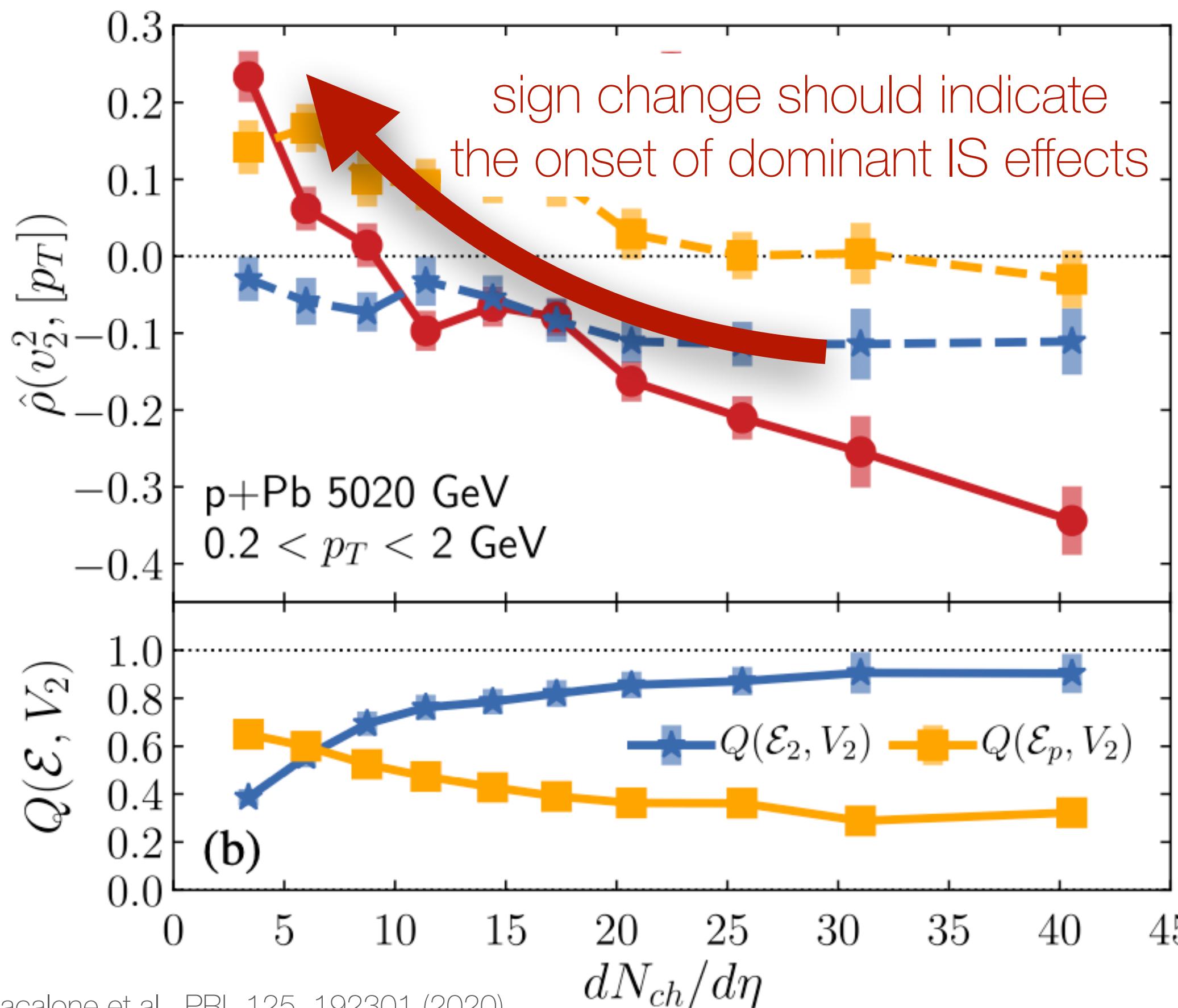


Effects of the initial state may become significant  
below some multiplicity region

# Inconclusive results ?

Correlation between flow and mean- $p_T$

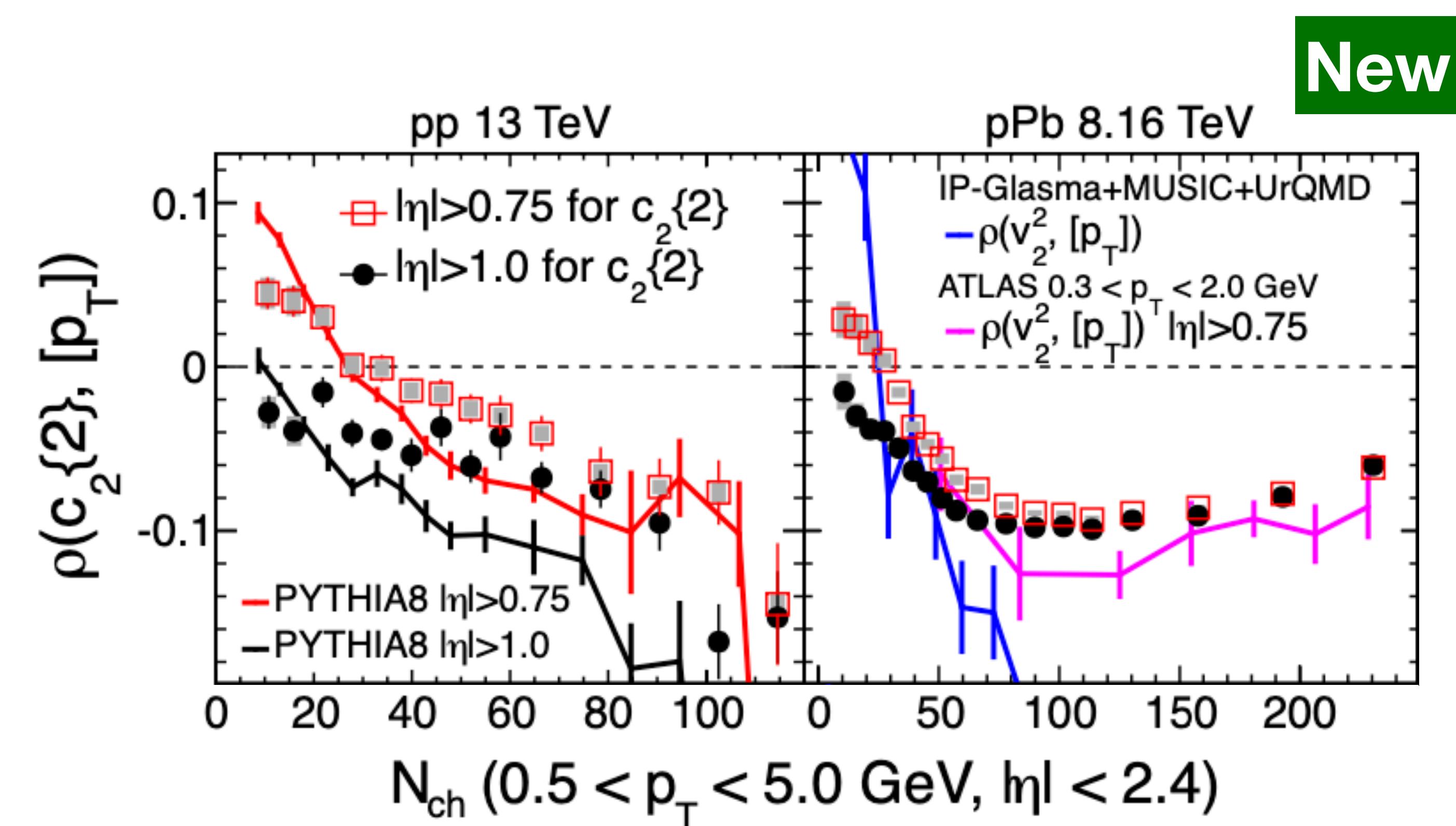
$$\rho(v_2^2, [p_T]) = \frac{\text{Cov}(v_2^2, [p_T])}{\sqrt{\text{Var}(v_2^2)} \sqrt{\text{Var}([p_T])}}$$



Giacalone et al., PRL 125, 192301 (2020)

Sign change disappears when large rapidity gap between correlated particles is used to suppress contamination

Caveat: the rapidity separation may also remove the desired effects of the initial state



CMS, PAS HIN-21-012