

Radar Systems

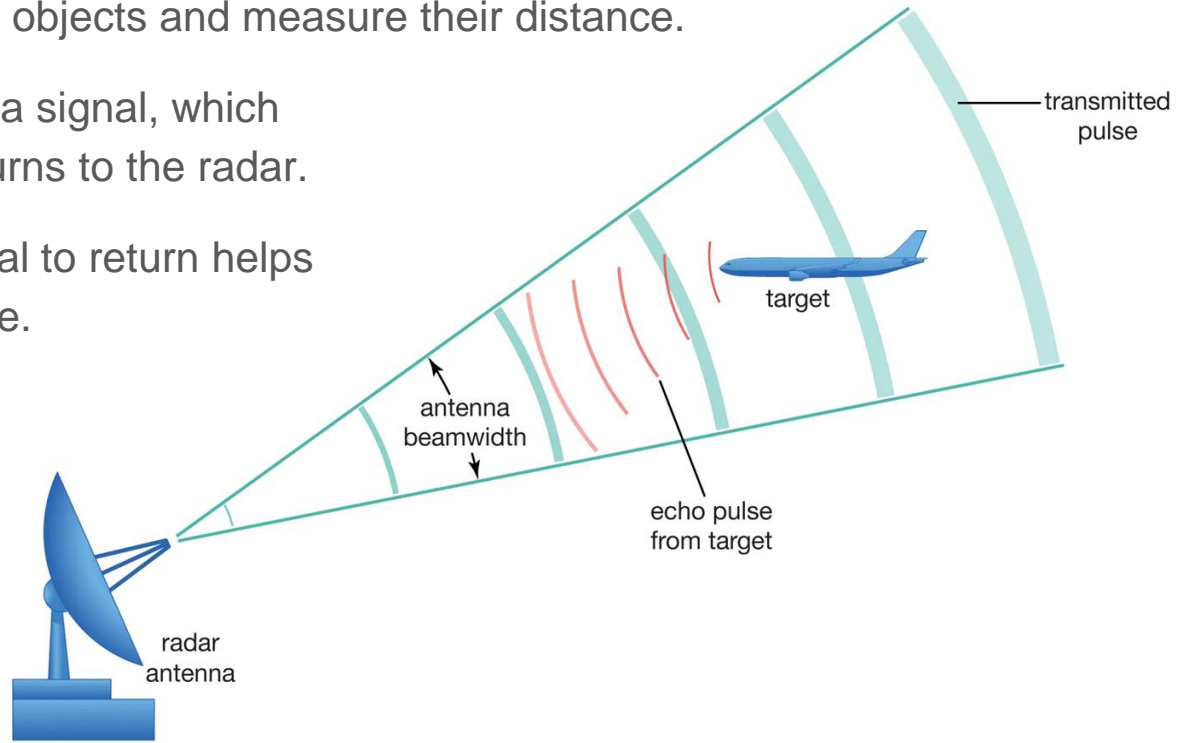
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Basics of Radar Technology

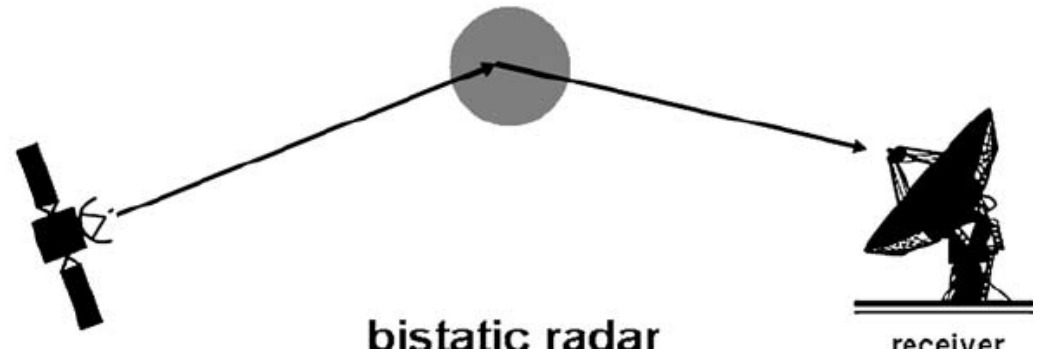
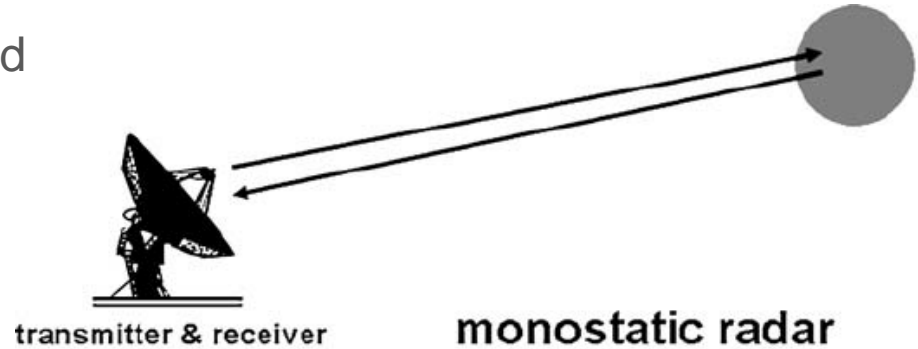
- Radar stands for Radio Detection and Ranging.
- It uses radio waves to detect objects and measure their distance.
- The radar system sends out a signal, which bounces off an object and returns to the radar.
- The time it takes for the signal to return helps determine the object's distance.

It is important to understand at what distance radar is effective



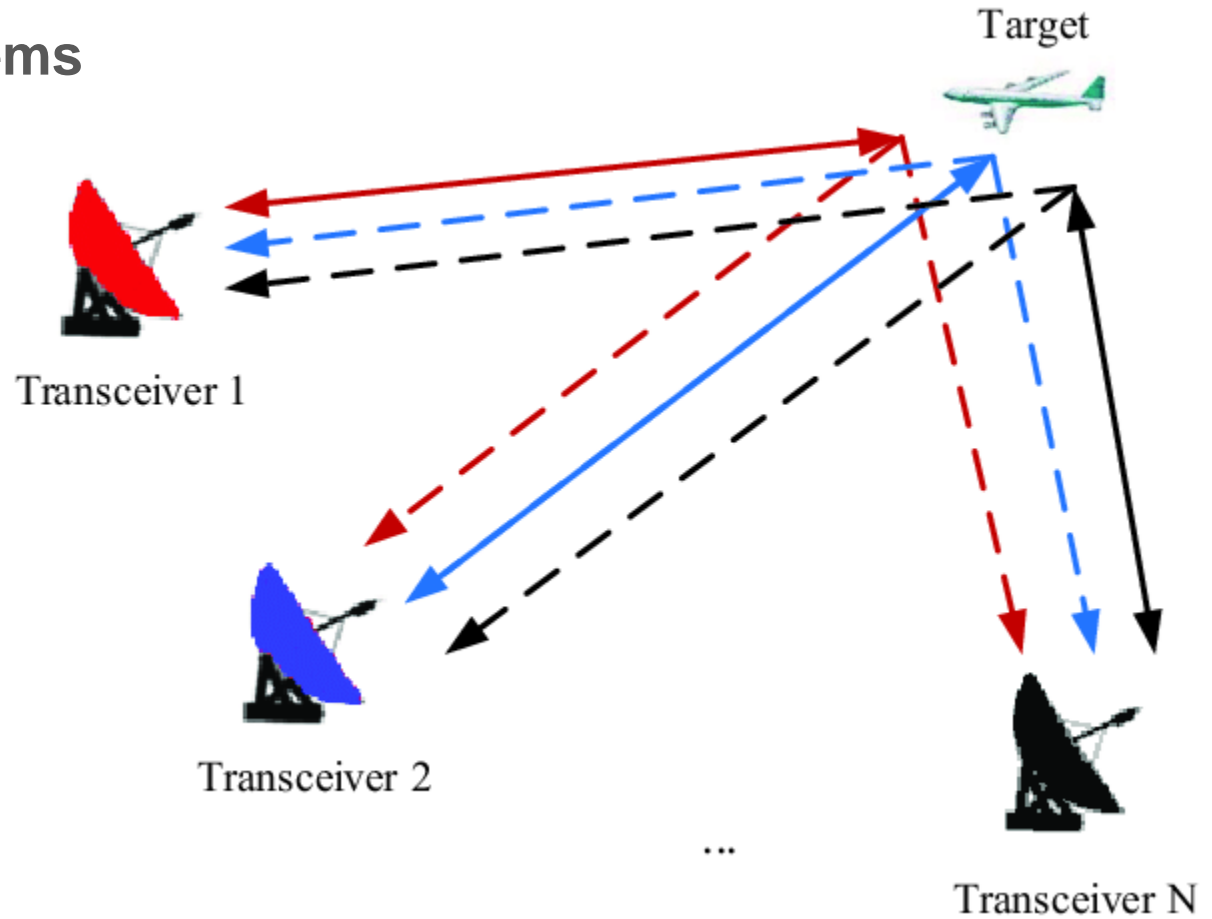
Types of Radar Systems

- Monostatic Radar: Transmitter and receiver are in the same location.
- Bistatic Radar: Transmitter and receiver are in different locations.



Types of Radar Systems

- Multistatic Radar:
Multiple transmitters and receivers in different locations, working together.



Buran A-140 Radar System

Type: Monostatic Radar

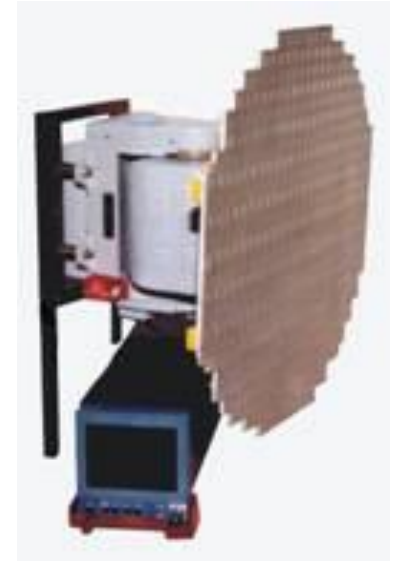
Manufacturer: Ukraine

Functions:

- Weather monitoring
- Navigation support
- Air traffic control

Features:

- High accuracy
- Long-range detection
- Advanced signal processing



Using the example of this radar, let's calculate the range of the radar.

Calculation Part

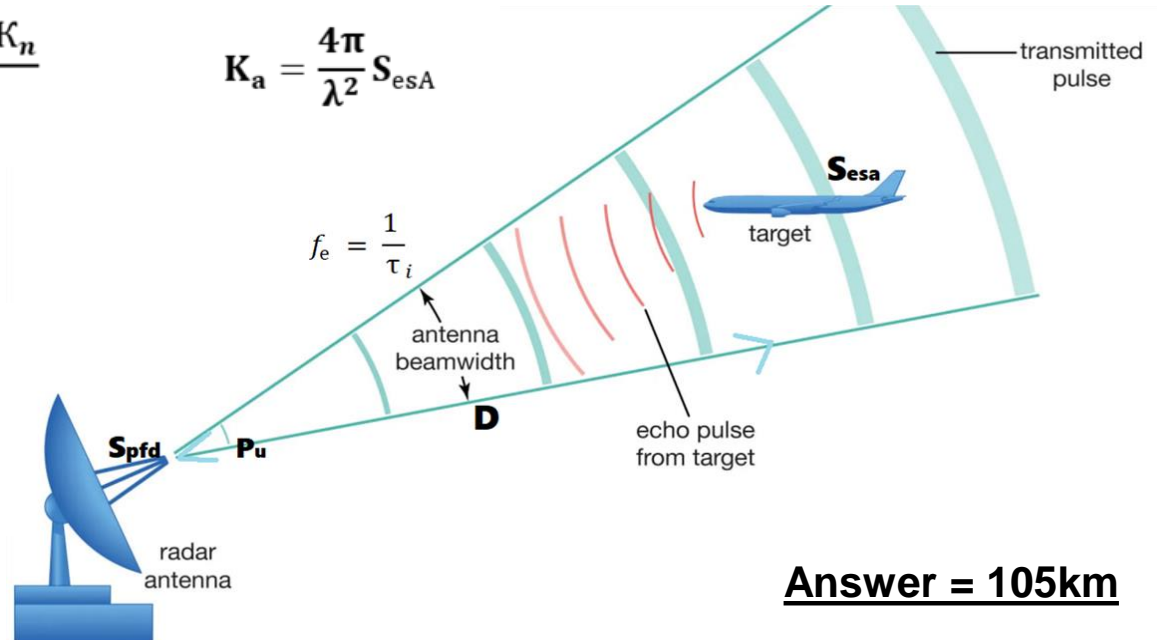
$$P_c = S_{pfd} \times S_{esa} = \frac{P_u K_a S_{esa} S_{esa}}{(4\pi)^2 D^4} \quad \text{is the basic equation of radar.}$$

$$P_{cmin} = m_p k T_0 K_n \Delta f_e = \frac{m_p k T_0 K_n}{\tau_i}$$

$$K_a = \frac{4\pi}{\lambda^2} S_{esa}$$

after calculations

$$D = \sqrt[4]{\frac{\tau_i P_u K_a^2 S_{esa} \lambda^2}{(4\pi)^3 m_p k T_0 K_n}}$$



Answer = 105km

A Russian bomber
detected by long-range radar
and shot down by an
unknown missile.



Thank you for attention!

D-?
$P_u - 5 \times 10^3 \text{ B}$
$\tau_i - 0.1 \text{ c}$
$S_{esa} - 2 \text{ m}^2$
$K_a - 33 \text{ dB}$
$m_p - 1 \text{ dB}$
$k - 1,38 \times 10^{-23} \frac{\text{Дж}}{\text{К}}$
$T_0 - 290 \text{ K}$
$K_n - 1 \text{ dB}$
$\lambda - 0.03 \text{ m}$

$$D = \sqrt[4]{\frac{\tau_i P_u K_a^2 S_{esa}}{(4\pi)^3 m_p k T_0}}$$

$$= \sqrt[4]{\frac{0,1}{(4\pi)^3 \cdot 1 \cdot 1,38 \times 10^{-23} \cdot 290}}$$

$$= \sqrt[4]{\frac{81675 \cdot 10^{21}}{21344\pi^3}} \approx 105400,07 \text{ m}$$

$$\approx 105,4 \text{ km}$$

τ_i - pulse duration

P_u - radiated power

S_{esa} - effective radiated area

K_a - directivity coefficient

m_p - resolution coefficient

$k - 1,38 \times 10^{-23}$ - Boltzmann constant

$T_0 - 290 \text{ K}$

K_n - receiver noise figure

λ - wavelength

S_{esa} - effective area

S_{pfd} - power flux density