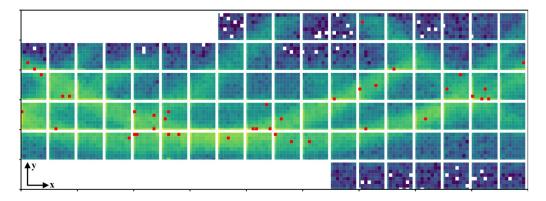
Deep(er)RICH - Deep Reconstruction of Imaging Cherenkov Detectors



James Giroux, Cristiano Fanelli, Justin Stevens

Purdue University October 15, 2024



[1] Fanelli, Cristiano, James Giroux, and Justin Stevens. "Deep(er) Reconstruction of Imaging Cherenkov Detectors with Swin Transformers and Normalizing Flow Models." arXiv preprint arXiv:2407.07376 (2024).

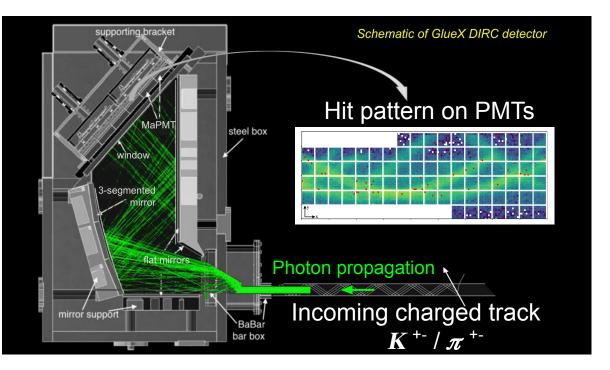
Overview

• GlueX DIRC

• Fast and Accurate Simulation

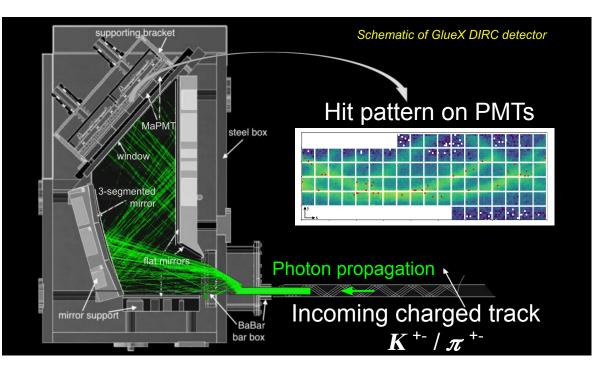
- PID Methods K^{+-}/π^{+-}
 - Delta Log Likelihoods
 - Image Classification with Transformers
 - Performance

Detection of Internally Reflected Cherenkov Light (GlueX DIRC)



- 48 fused silica bars segmented into 4 bar boxes
- Two readout zones (optical boxes)
- Optical boxes contain distilled water and highly reflective focusing mirrors
- 6 x 18 PMT array for photon detection
 One PMT 8 x 8 sensor array
- Provides location and timing information for individual photons

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Goal: Characterize hit patterns from K^{+-} / π^{+-} as a function of < $|\mathbf{p}|$, θ , ϕ > (track)

Deep(er)RICH - Fast Simulation with Normalizing Flows

Define a bijective function f(z), s.t.

 $\boldsymbol{x} = f(\boldsymbol{z}) = f_N \circ f_{N-1} \circ \dots f_1(\boldsymbol{z_0})$

Transform the density through a change of variables Conditional on some parameters k

$$\log p(\boldsymbol{x}|\boldsymbol{k}) = \log \pi(f^{-1}(\boldsymbol{x})|\boldsymbol{k}) - \sum_{i=1}^{N} \log \left| det \left(\frac{\partial f_i^{-1}(\boldsymbol{x})}{\partial \boldsymbol{x}} \right) \right|$$

Maximize the likelihood of expected hit patterns under a base distribution

 $\mathbf{z} \in N(0,1)$

Analytic Likelihood Computation

$$\mathcal{L} = -rac{1}{|oldsymbol{X}|} \sum_{oldsymbol{x} \in oldsymbol{X}} \log p(oldsymbol{x} | oldsymbol{k})$$

Deep(er)RICH - Learning at the hit level

- Abstract away from fixed input sizes
 - Remain agnostic to photon yield

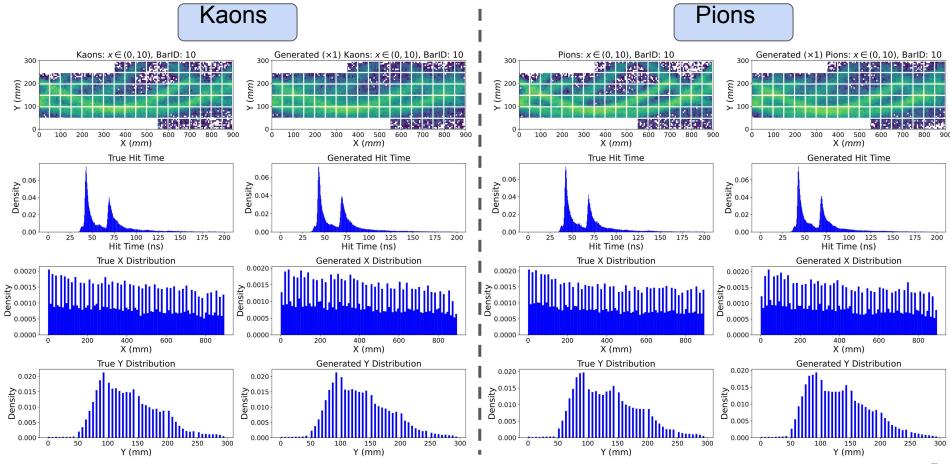
$$D_{i,j} = \begin{cases} \lfloor M_{PMT.}/18 \rfloor \cdot 8 + \lfloor N_{pixel.}/8 \rfloor & \text{(1)} \\ (M_{PMT.} \mod 18) \cdot 8 + (N_{pixel.} \mod 8) \end{cases}$$

$$\begin{aligned} x &= D_j \cdot 6\,mm + (M_{PMT.} \mod 18) \cdot 2\,mm + 3\,mm \\ y &= D_i \cdot 6\,mm + \lfloor M_{PMT.}/18 \rfloor \cdot 2\,mm + 3\,mm \end{aligned} \tag{2}$$

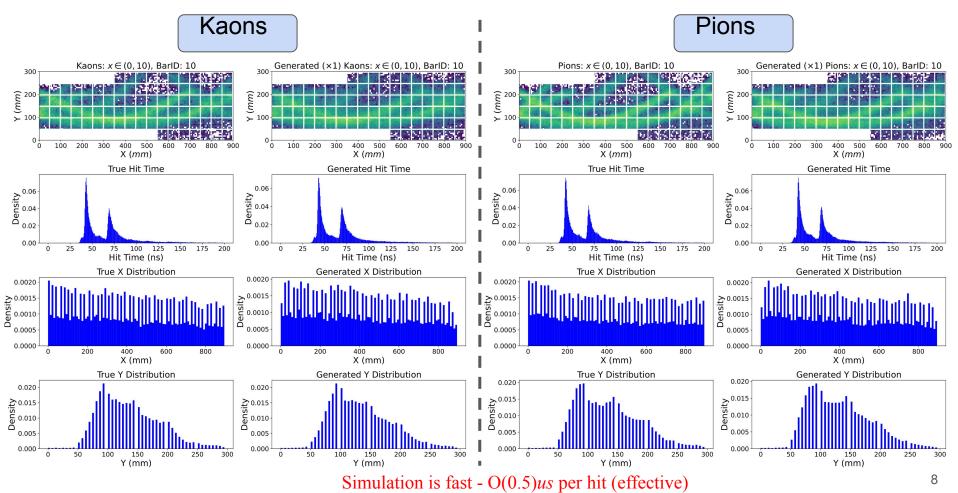
- Learn at the hit-level, conditional on < |p|, θ , ϕ >
- Normalizing Flows unable to deal with discrete distributions
 - DIRC readout has fixed row, col coordinate system⁽¹⁾
 - Transform to x,y coordinate system $(mm)^{(2)}$
 - Smear uniformly over individual PMT pixels

TrackID	x (mm)	y (mm)	t (ns)	p	θ	ϕ
1				3.0	5.0	90.
1				3.0	5.0	90.
N				4.0	7.0	-90.
N				4.0	7.0	-90.

Fast Simulation - GlueX DIRC



Fast Simulation - GlueX DIRC



π/K Separation

PID in the Base Distribution - Normalizing Flow Method

Recall our bijection

 $\boldsymbol{x} = f(\boldsymbol{z}) = f_N \circ f_{N-1} \circ \dots f_1(\boldsymbol{z_0})$

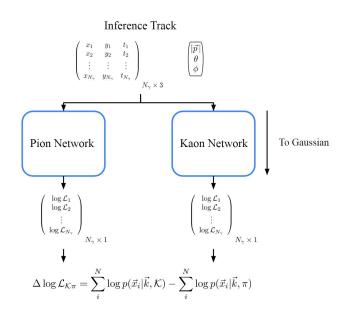
Recall our analytical computation of the likelihood under a change of variables

$$\log p(\boldsymbol{x}|\boldsymbol{k}) = \log \pi(f^{-1}(\boldsymbol{x})|\boldsymbol{k}) - \sum_{i=1}^{N} \log \left| det \left(\frac{\partial f_i^{-1}(\boldsymbol{x})}{\partial \boldsymbol{x}} \right) \right| - \underline{\boldsymbol{x}}$$

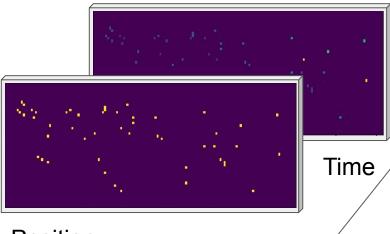
We can compute the DLL under the base distribution - summed contribution over hits

$$\Delta \log \mathcal{L}_{\mathcal{K}\pi} = \sum_{i}^{N} \log p(\vec{x}_i | \vec{k}, \mathcal{K}) - \sum_{i}^{N} \log p(\vec{x}_i | \vec{k}, \pi) \checkmark$$

Where the hypothesis of a pion/kaon is represented by individual networks



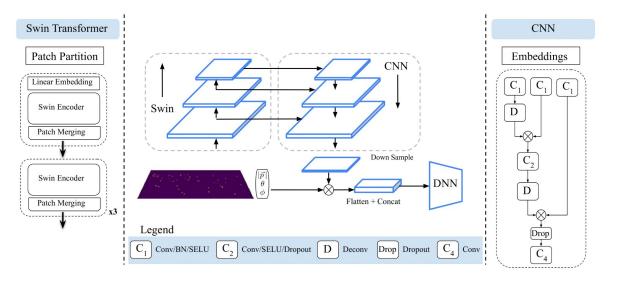
Working with Images - Vision Transformer Method



Position

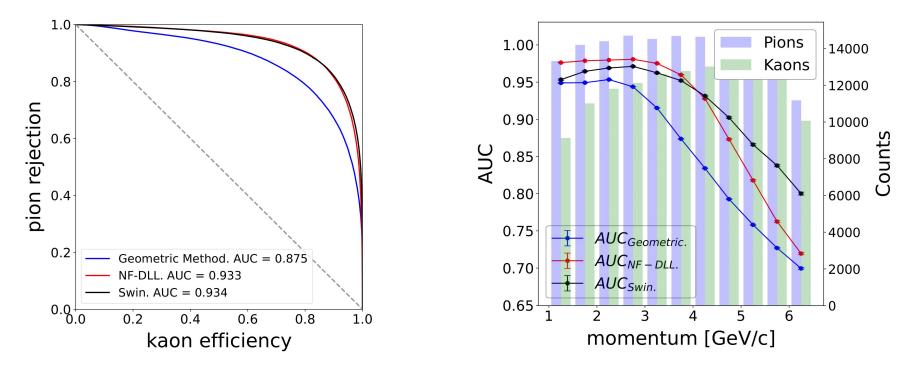
- Remain agnostic to photon yield
 - Individual tracks form "images" in optical boxes
 - \circ Sparse point representations
 - Possibility of overlapping hits
 - Same *x*,*y* different times
 - Construct these as images as FIFO
 - Tends to be low percentage of overlap

Working with Images - Vision Transformer Method cont'd...



- Hierarchical Vision Transformer (Swin) encoder style feature extraction
 - Windowed attention higher throughput
- Combine information through CNN utilize skip connections for different resolutions
- Inject kinematics as concatenated information to DNN

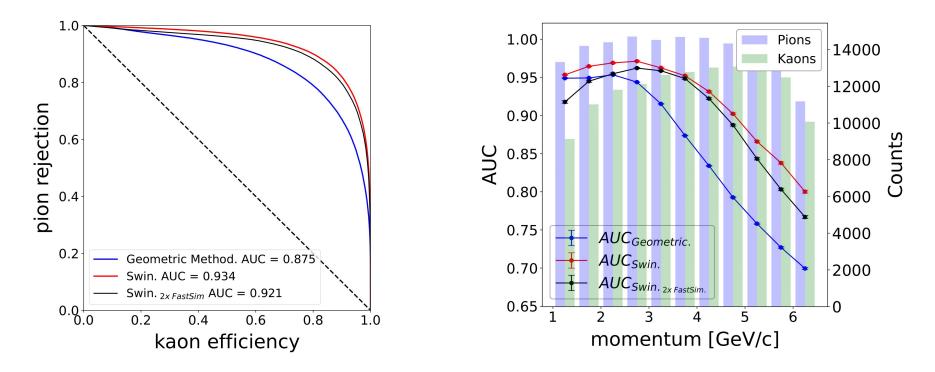
π/K Separation - GlueX DIRC



PID is fast - O(9)us per track with transformer (effective)

NF method slightly slower given additional computation needed

Validation of Fast Simulation through Transformer



Trained on tracks from NF (fast simulation) 2x Original Dataset

Tested on MC sample

Conclusion

• Two Methods of PID

- Both able to generalize over continuous phase space
- Initial results show improved PID performance compared to classical methods
- Transformer provides fast inference ~ 9*us /* track (effective)
- NF method slightly slower extra computation, overhead due to varying number of photons

• Fast and Accurate Simulation

- "Skips" all track propagation and provides fast accurate patterns (see full simulations)
 - Fast (NF) and full simulations ~ "indistinguishable"/same performance for a classifier (Transformer)
- Generates optical boxes directly conditional on track parameters < $| {m
 ho} |$, ${m heta}$, ${m \phi}$ >
- Ability to generate photons in batches 0.5 *us* / photon (effective)

References

[1] Fanelli, Cristiano, James Giroux, and Justin Stevens. "Deep (er) Reconstruction of Imaging Cherenkov Detectors with Swin Transformers and Normalizing Flow Models." arXiv preprint arXiv:2407.07376 (2024).

[2] Liu, Ze, et al. "Swin transformer: Hierarchical vision transformer using shifted windows." *Proceedings of the IEEE/CVF international conference on computer vision*. 2021.



Deep(er)RICH - Learning at the hit level cont'd...

