

Boosted Dark Matter

Exploring sensitivity in the DarkSide detectors

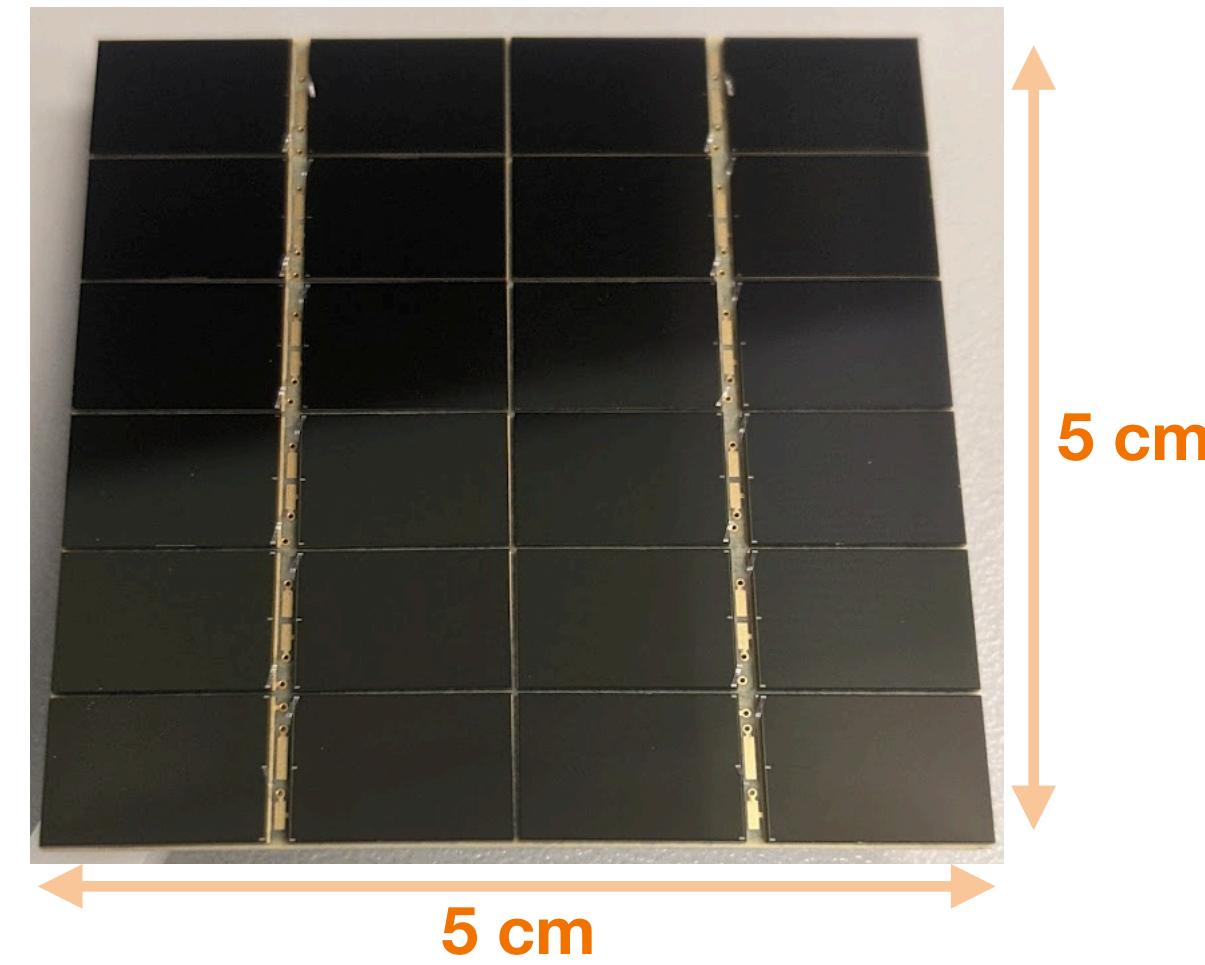
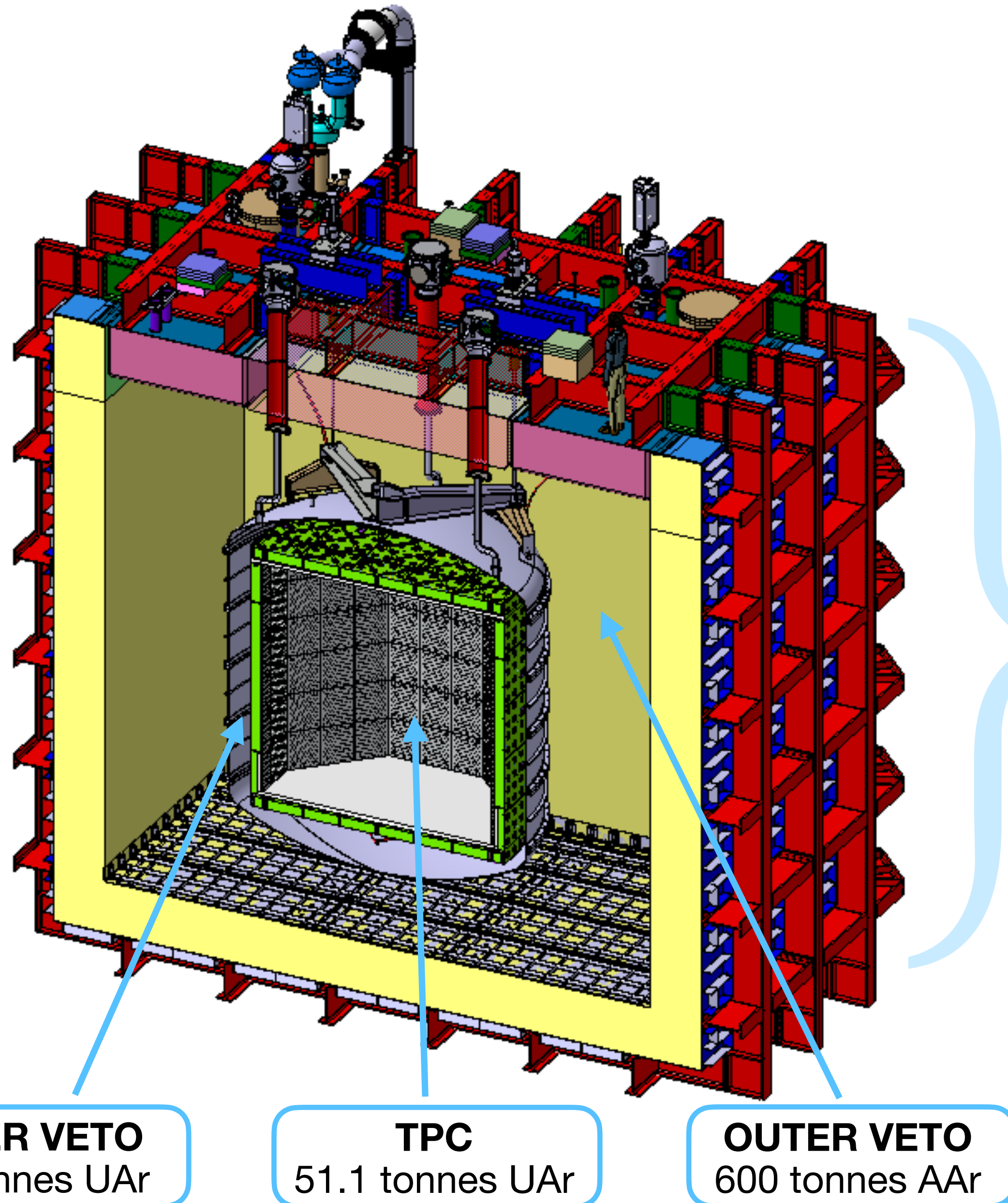
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10th April 2024 • Joint APP, HEPP & NP IOP conference



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The DarkSide-20k detector: a dual-phase argon direct detection experiment



$\sim 26 \text{ m}^2$ photosensor coverage

SiPM sensors

21 m^2 in TPC

5 m^2 in vetoes

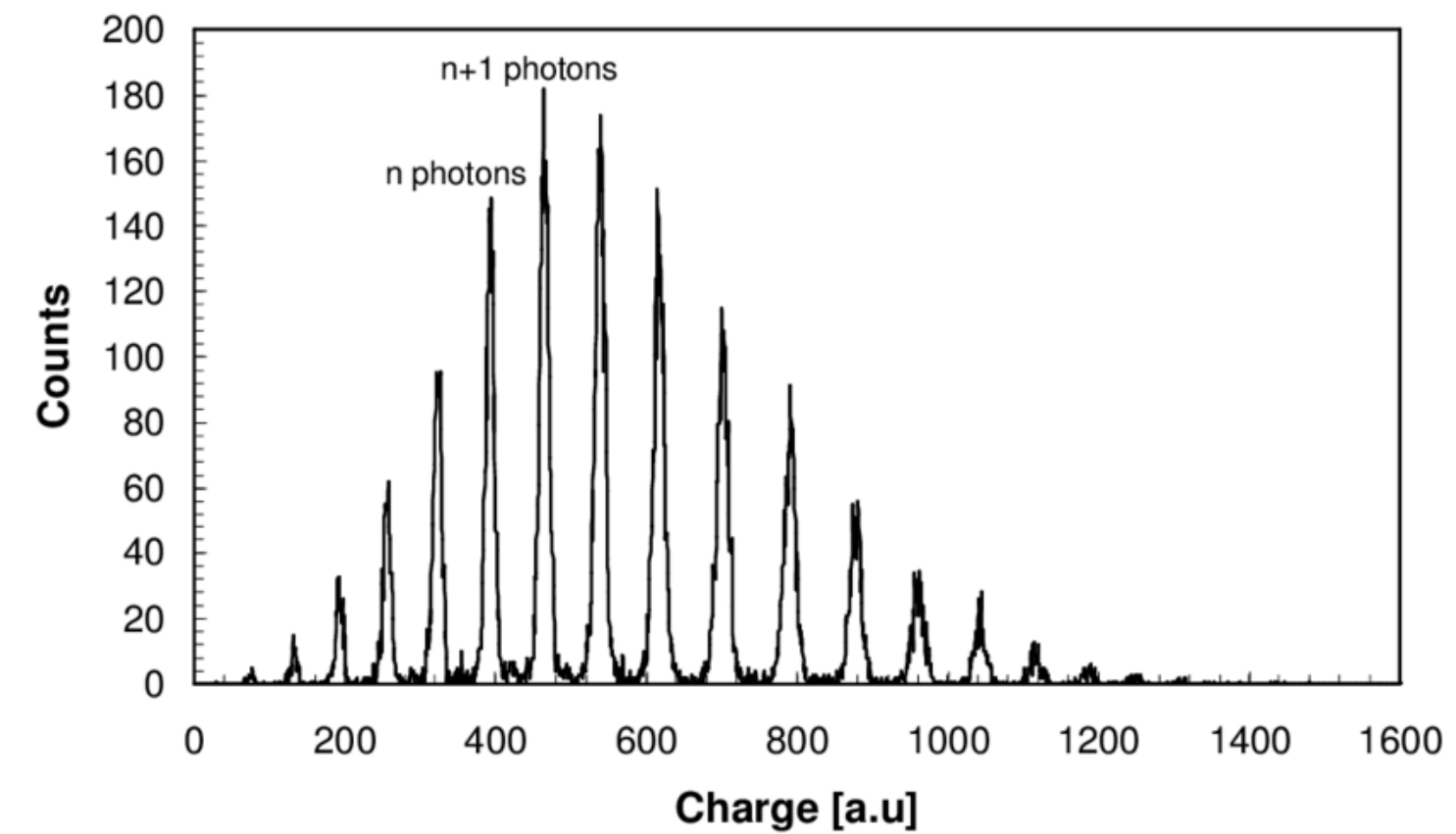
Compared to PMTs...

3 x PDE

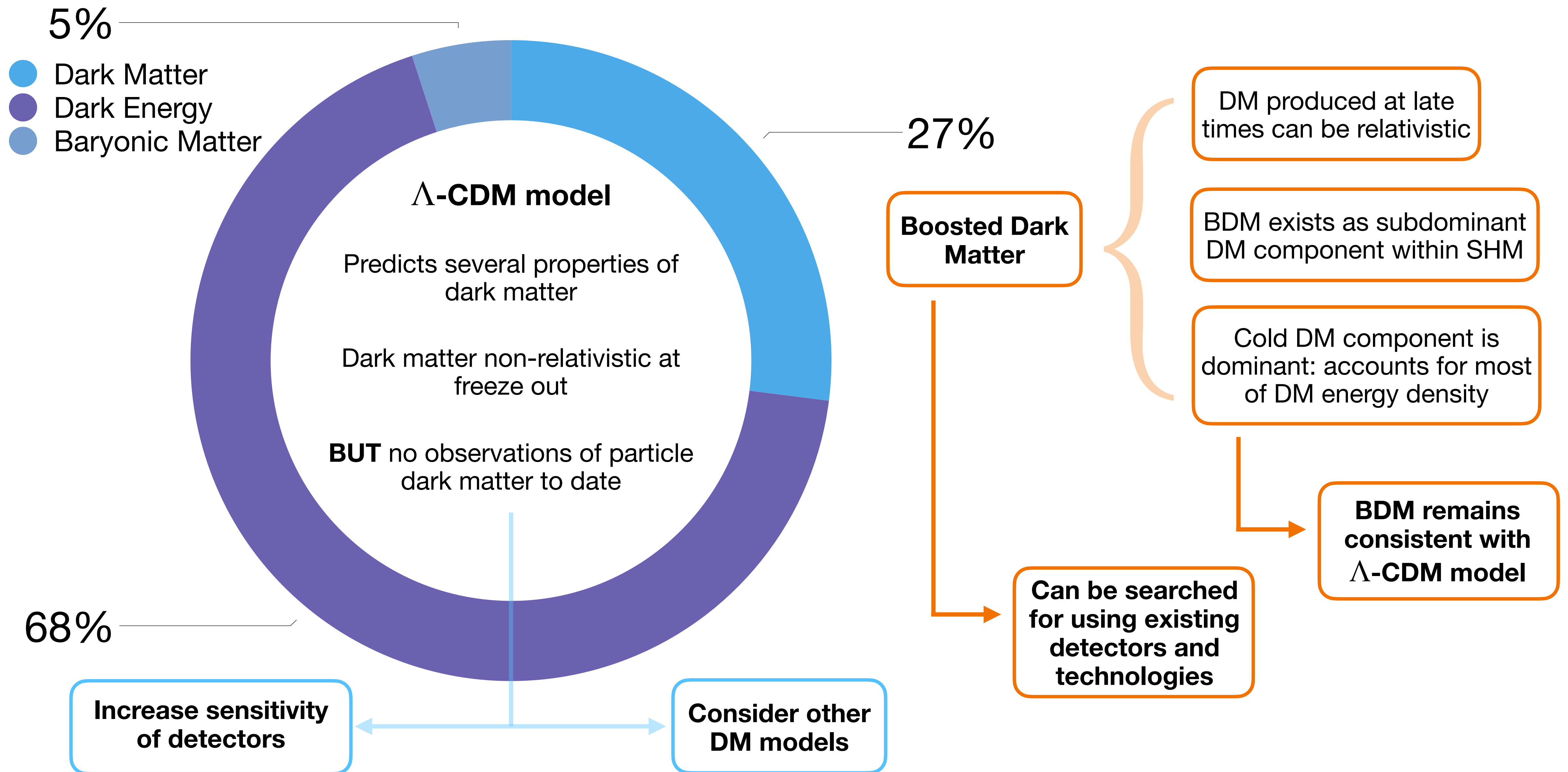
10 x lower noise

> 10 x lower radiogenic background

Excellent SPE resolution



Motivating boosted dark matter: looking beyond the Λ -CDM model



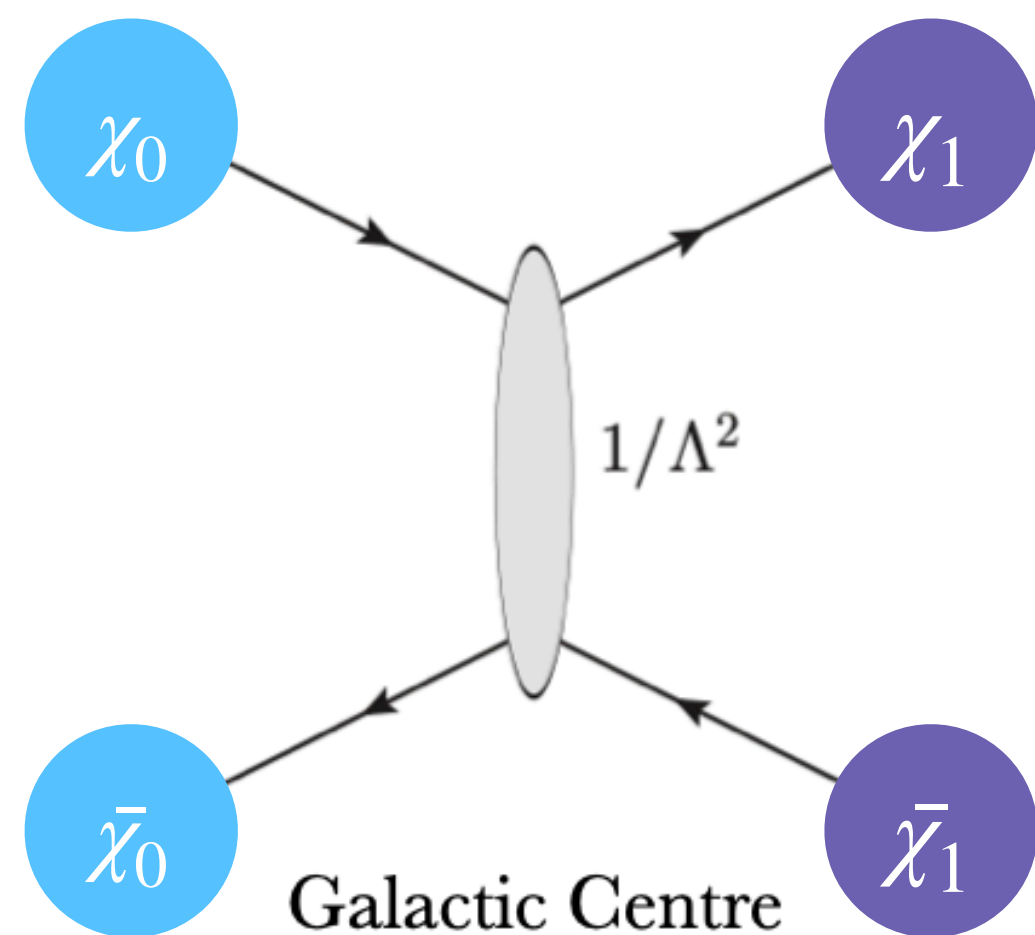
Boosted dark matter: a two component model

Two component model

2 dark matter components: χ_0 & χ_1 ($m_0 > m_1$)

χ_1 created by χ_0 self-annihilation: $\chi_0\bar{\chi}_0 \rightarrow \chi_1\bar{\chi}_1$

Dominant χ_0 , subdominant χ_1 , only χ_1 couples to SM

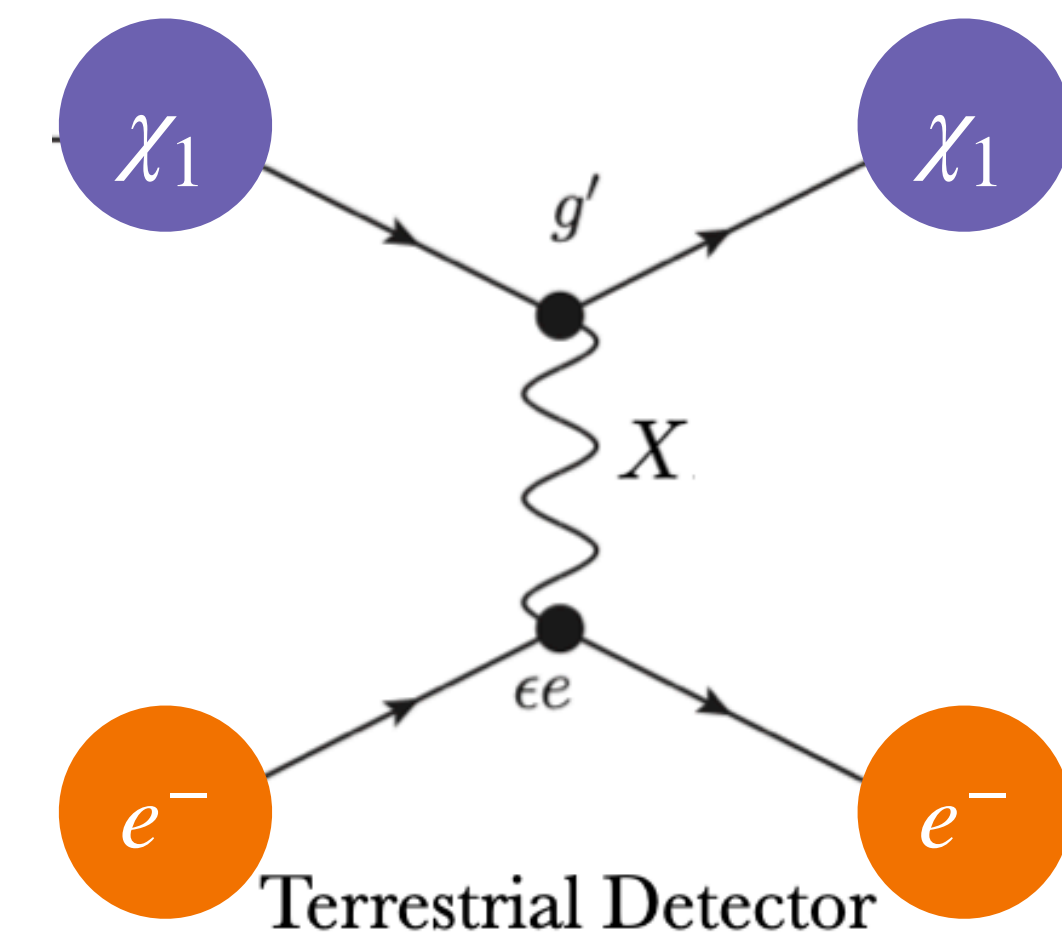


χ_1 kinematically boosted due to mass difference by a factor $\gamma = \frac{m_0}{m_1}$

BDM has higher energy than equivalent 'normal' WIMP DM with mass m_1

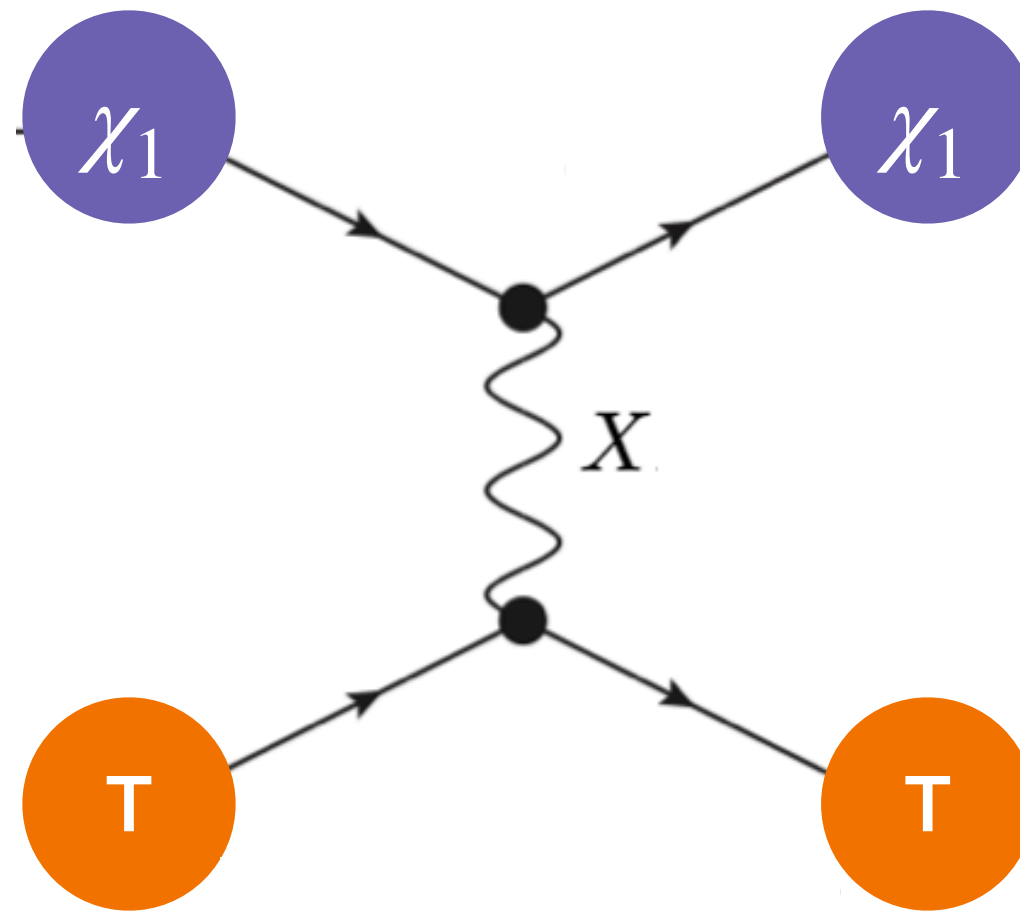
Can probe lower masses

Boosted dark matter can then be detected via e^- or nuclei scattering in terrestrial detectors



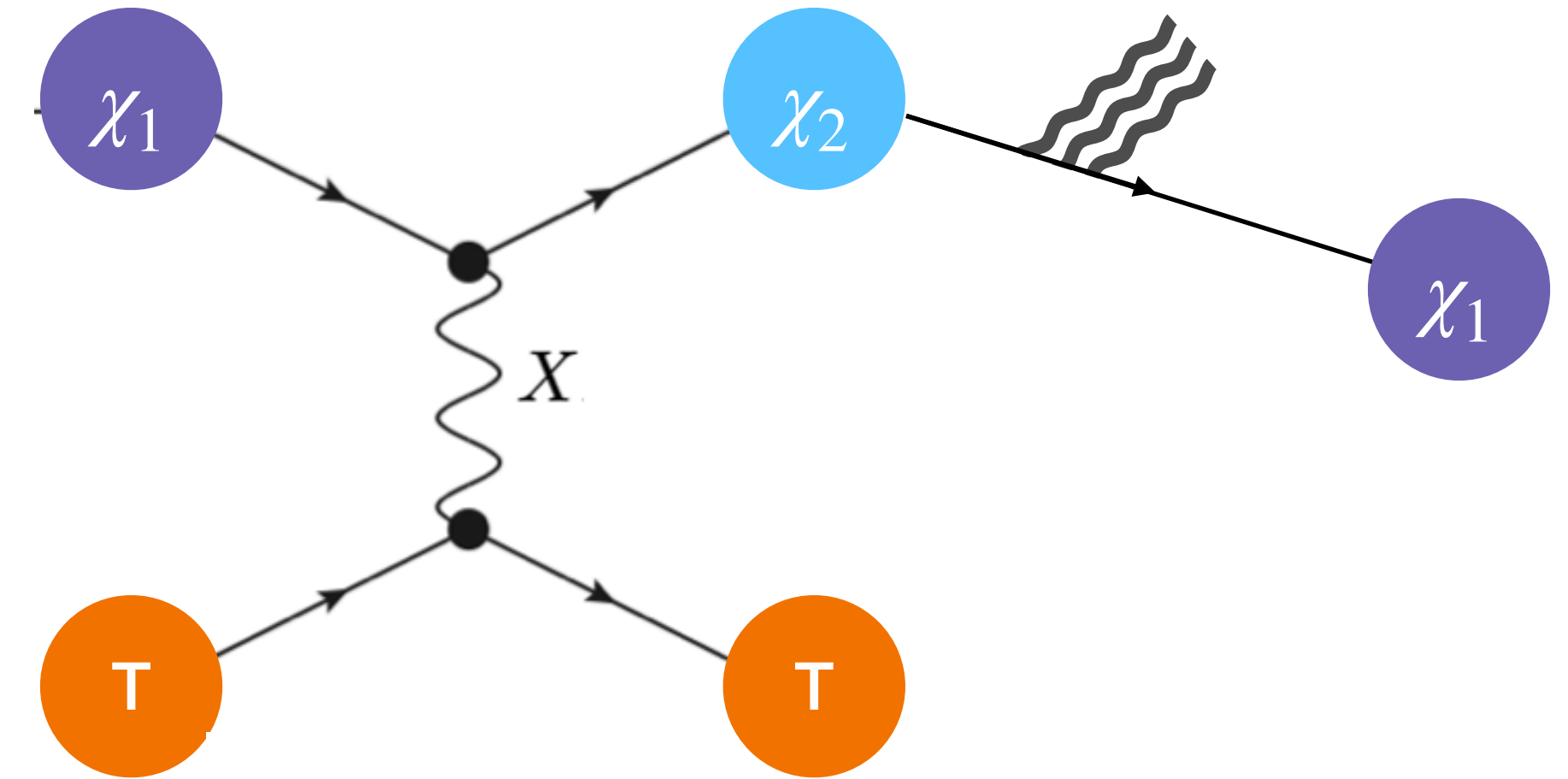
Boosted dark matter: expected interactions

Elastic scattering



Target: e^- or nucleus

Inelastic scattering

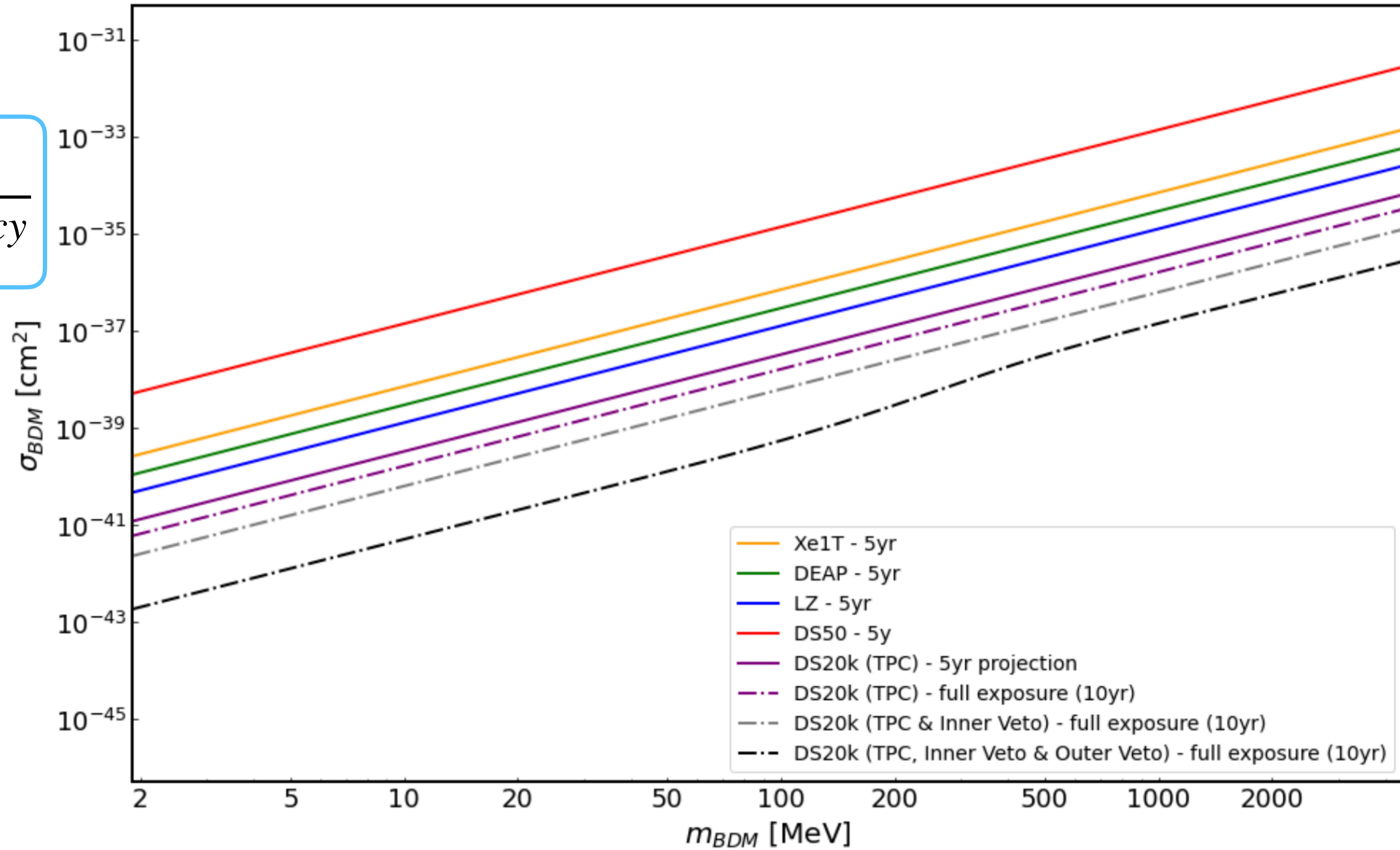
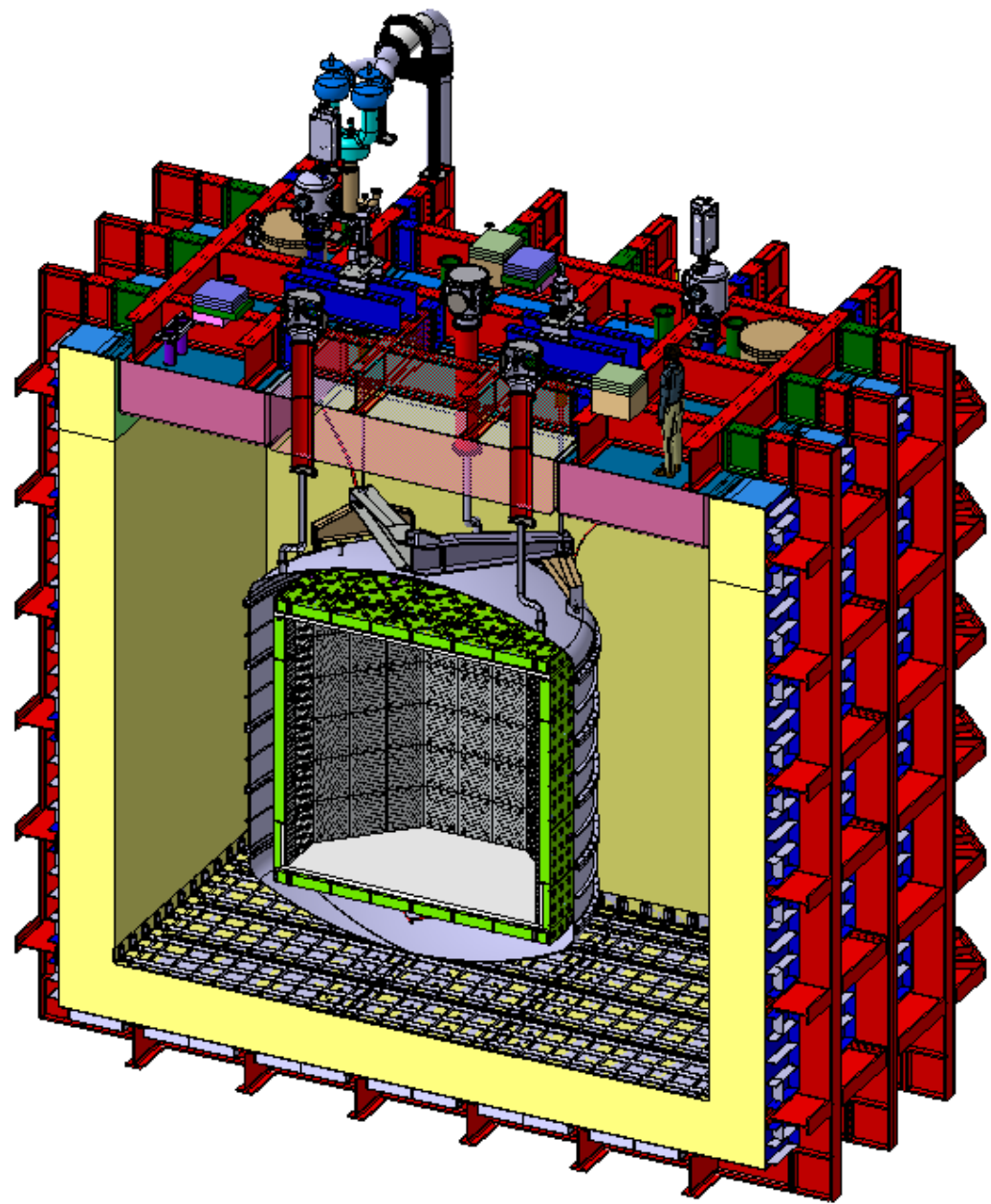


χ_1 scatters to an unstable particle (χ_2) following interaction in detector

χ_2 decays back to χ_1 \rightarrow detector resolution limits if this is detectable or merged with primary interaction

Poisson counting limit: zero background 90% CL

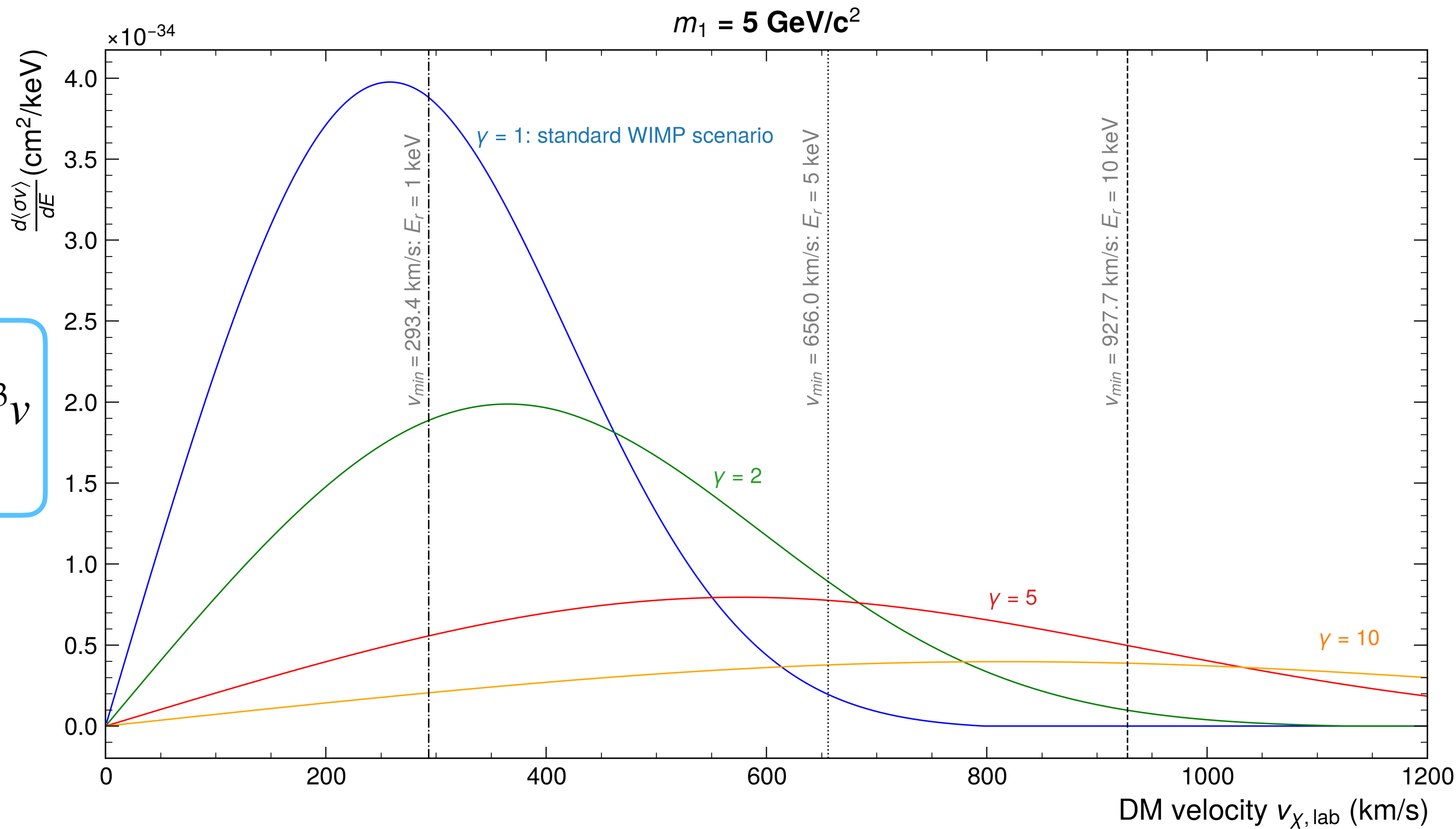
$$\sigma > \frac{2.3}{t_{exp} \times N_T \times Flux \times Efficiency}$$



Elastic nuclear recoils: expected BDM event rate

$$\frac{dR}{dE_r} = \frac{1}{m_T} \frac{\rho_\chi}{m_\chi} \int_{|v| > v_{\min}}^{\infty} \frac{d\sigma}{dE_r} f(v; v_E) |v| d^3v$$

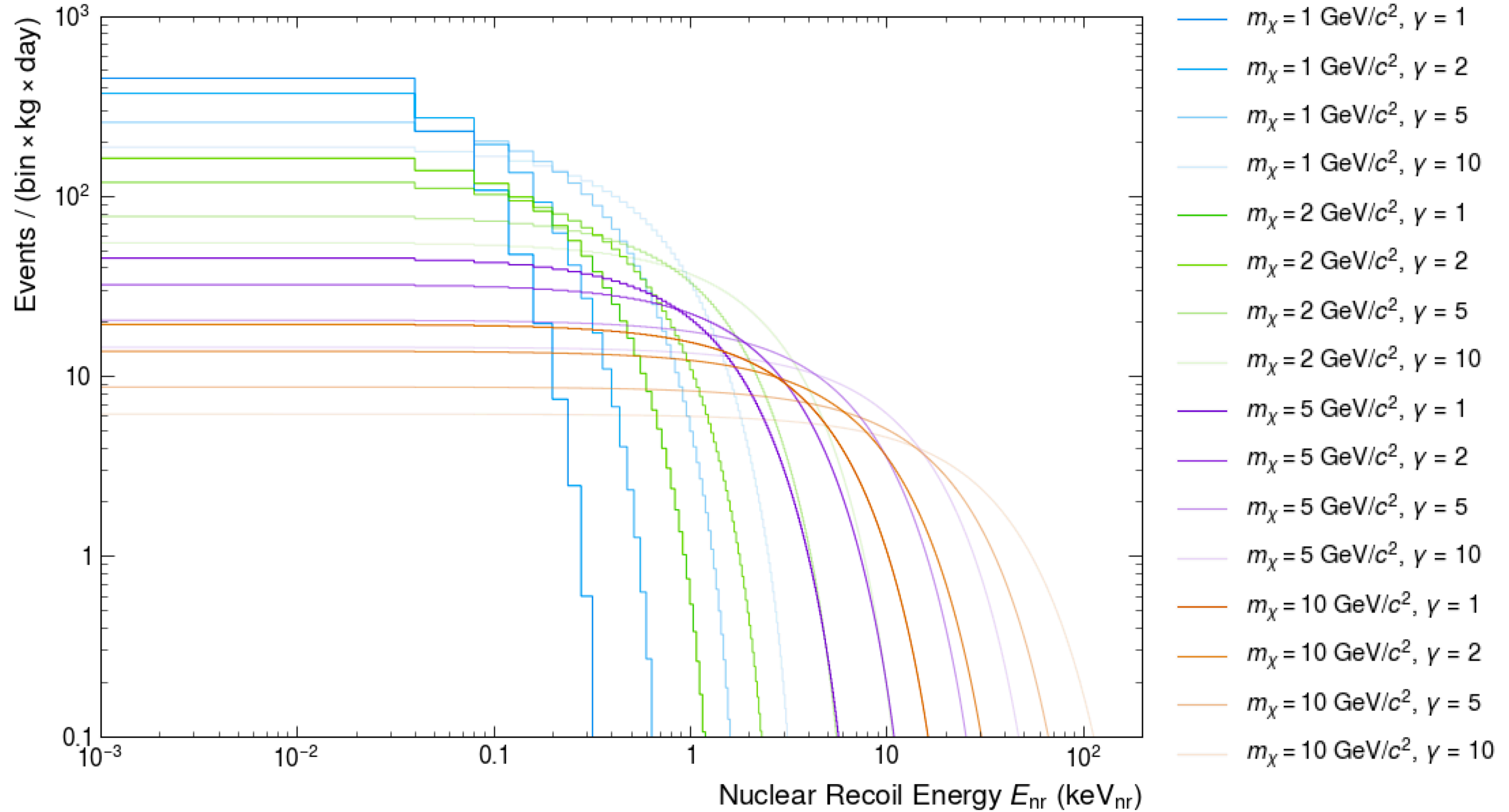
Assume:
 $m_T = m_{\text{Argon}}$
 $\rho_\chi = 0.3 \text{ GeV/cm}^3$



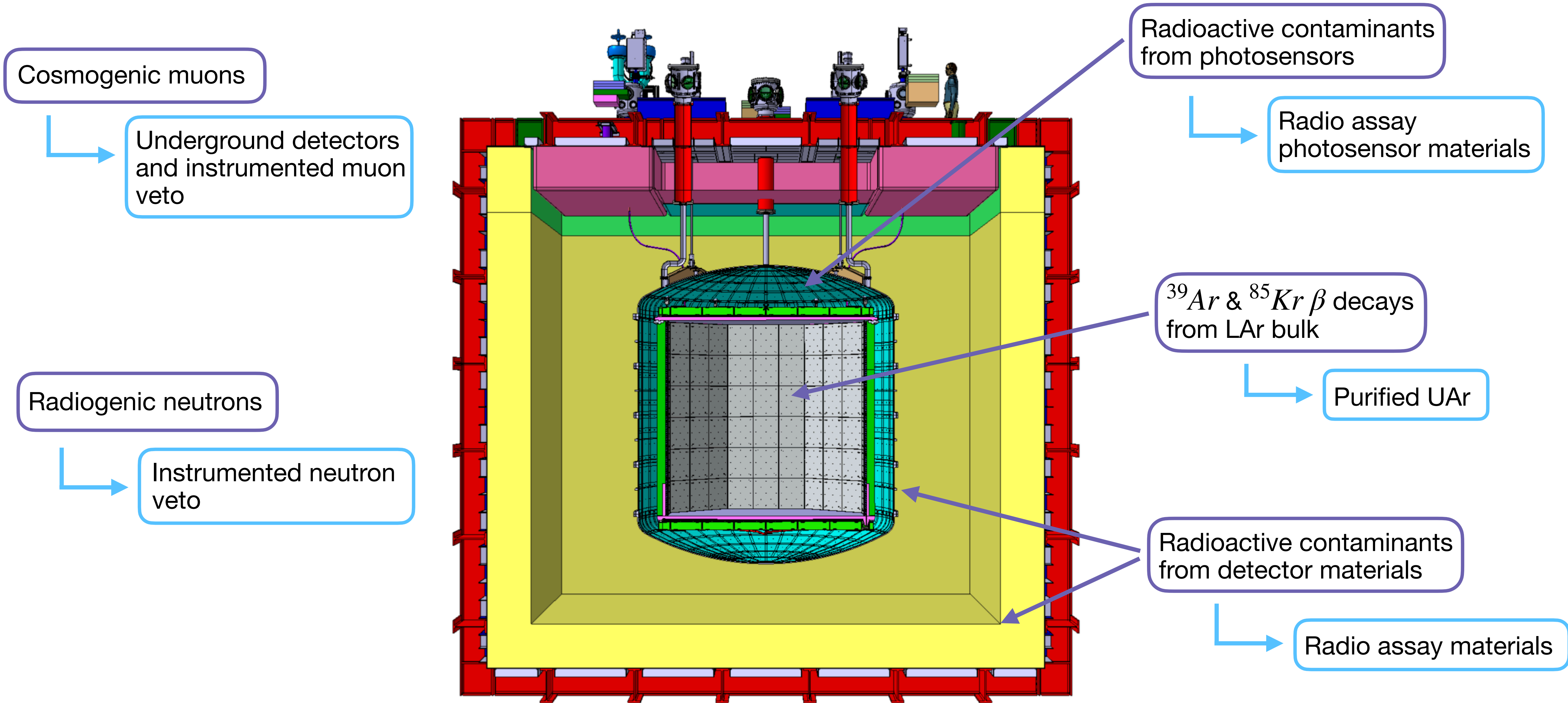
Spectrum	% of spectrum above threshold		
	$v_{\min} = 293 \text{ km/s}$	$v_{\min} = 656 \text{ km/s}$	$v_{\min} = 927 \text{ km/s}$
$\gamma = 1$ (blue)	86.47	32.36	0
$\gamma = 2$ (green)	96.62	83.09	66.18
$\gamma = 5$ (red)	99.46	97.29	94.59
$\gamma = 10$ (yellow)	99.86	99.32	98.65

Energy spectra: boosted dark matter signal

$\gamma = 1$ corresponds to standard WIMP scenario

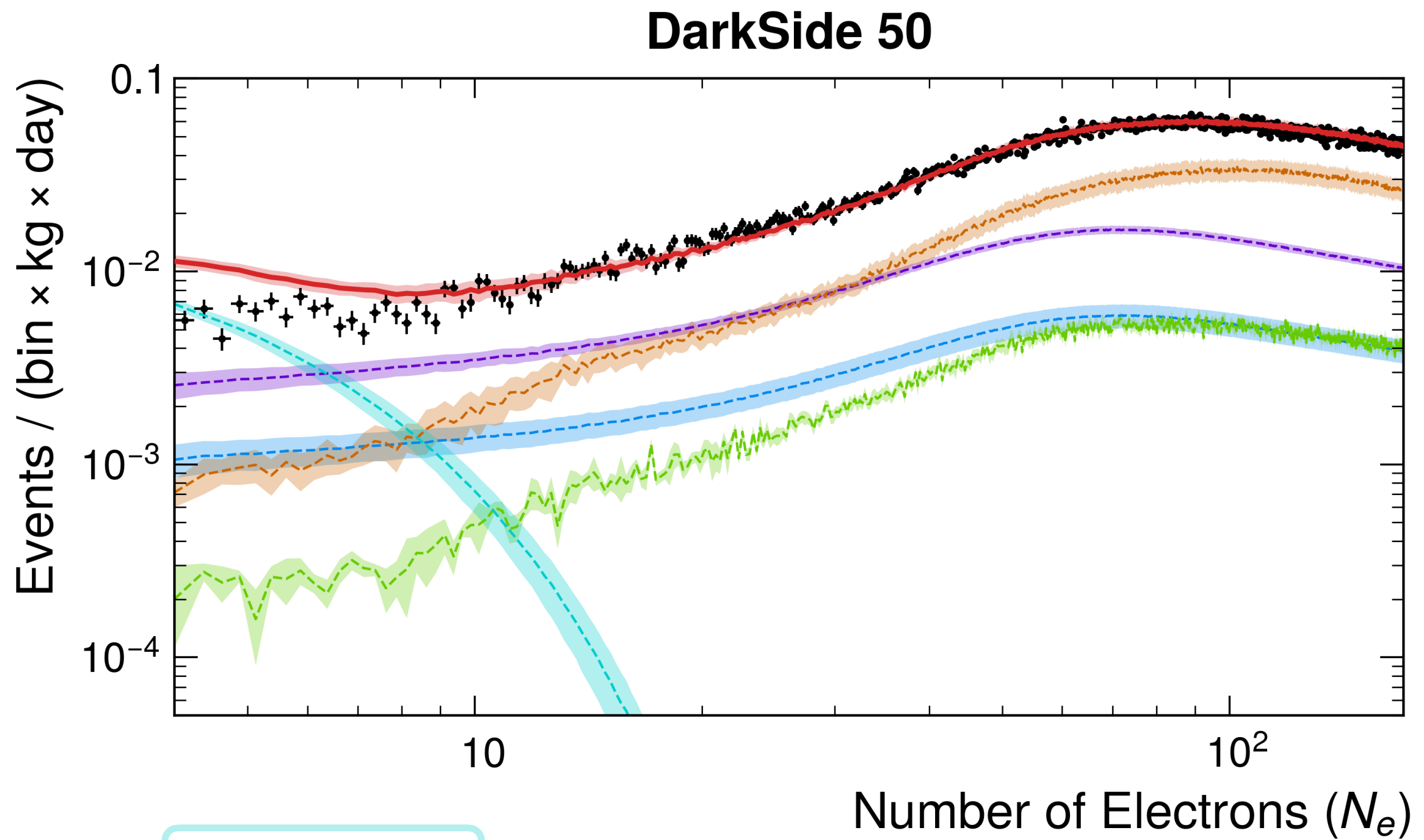


Backgrounds: sources and mitigations



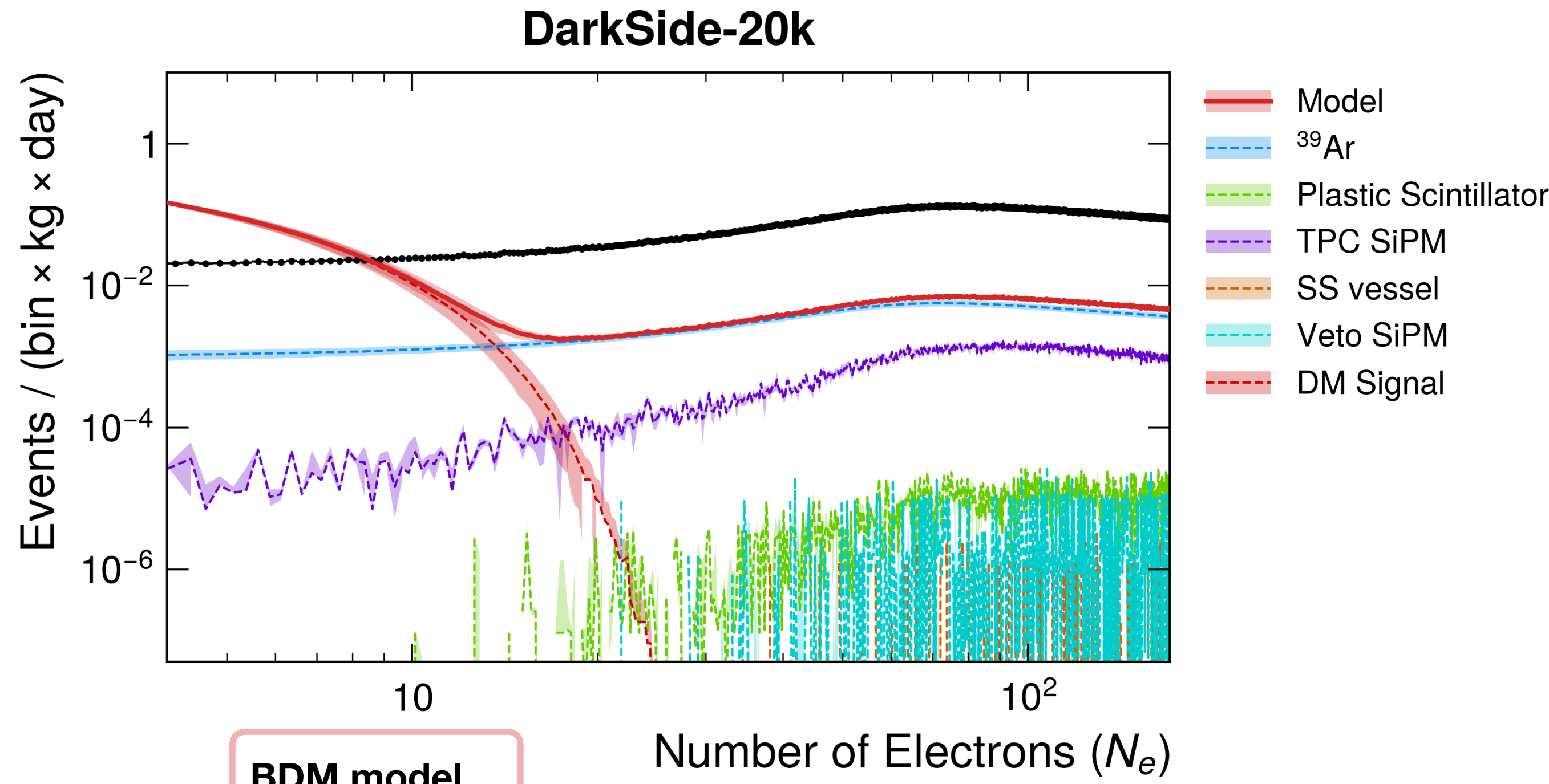
Detector response: ionisation spectra

Shaded bands represent systematic errors



BDM model
 $m_\chi = 2 \text{ GeV}$
 $\gamma = 2$

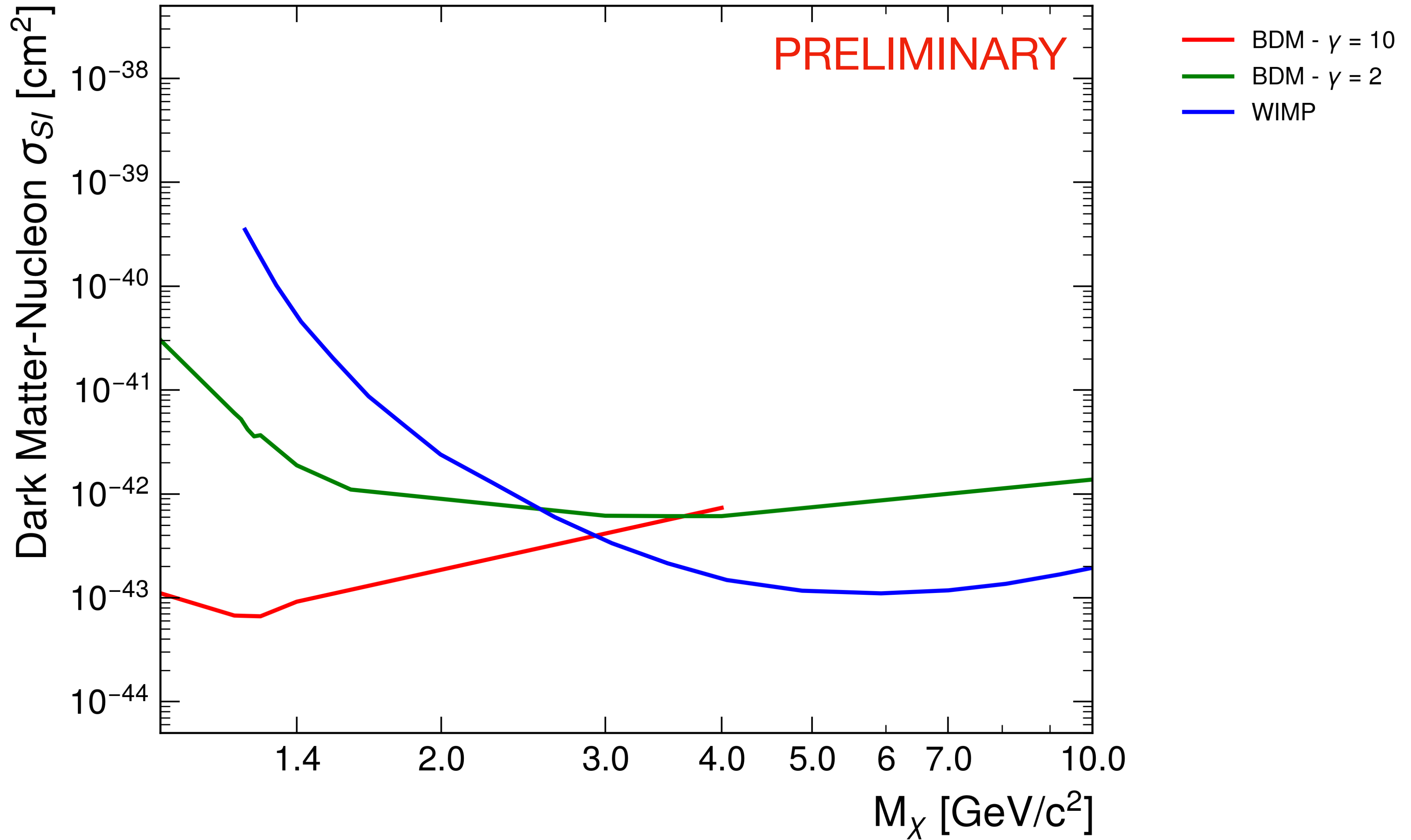
- Model
- ^{39}Ar
- Cryostat
- ^{85}Kr
- PMTs
- DM Signal



BDM model
 $m_\chi = 2 \text{ GeV}$
 $\gamma = 2$

- Model
- ^{39}Ar
- Plastic Scintillator
- TPC SiPM
- SS vessel
- Veto SiPM
- DM Signal

Projected sensitivity: DarkSide-50



DS-20k sensitivity in progress

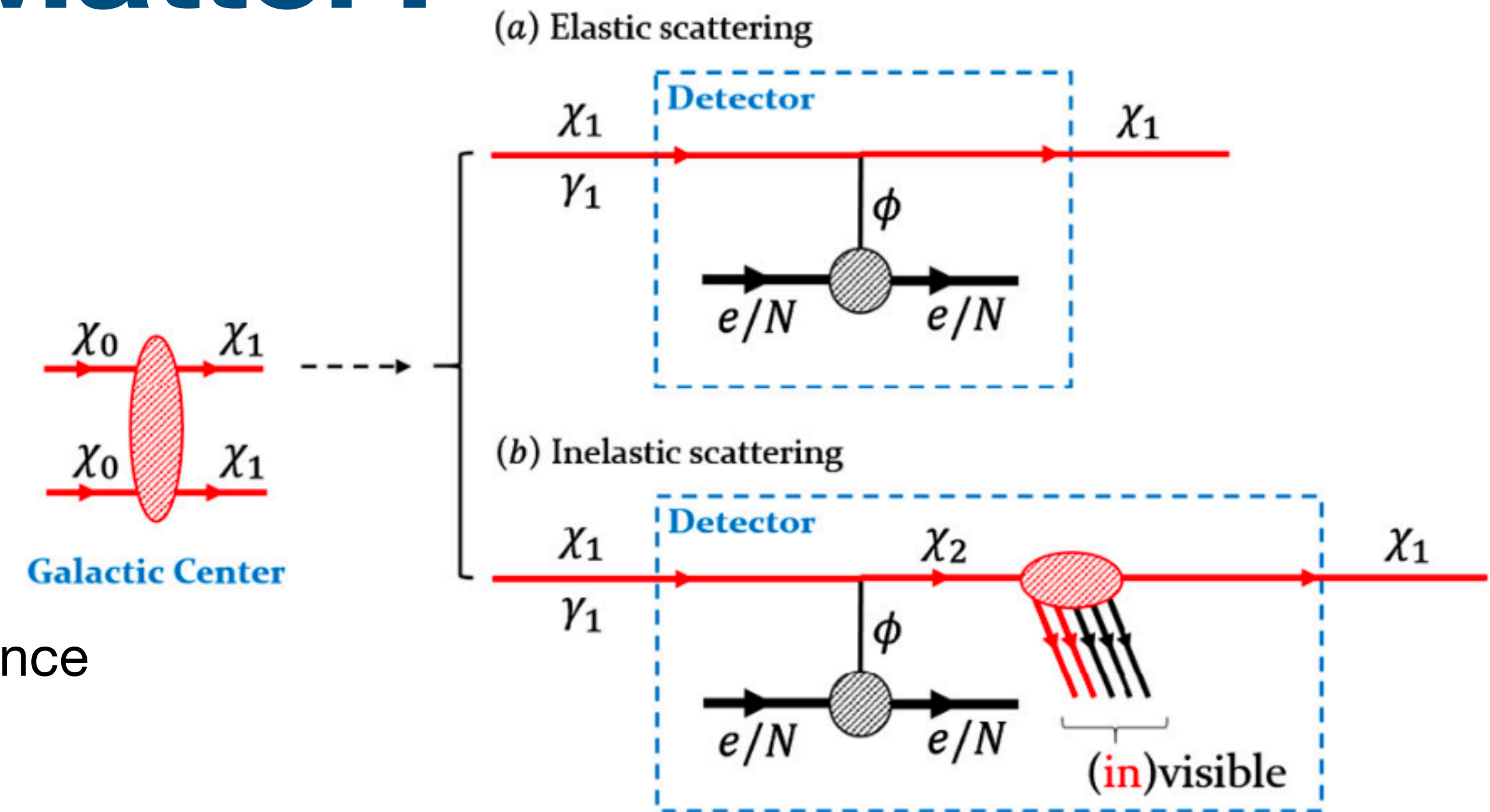
Conclusions & future work

- DarkSide-50 and DarkSide-20k: both use LAr to search for GeV - TeV scale WIMPs
- Two-component boosted dark matter model presented
 - > dark matter velocity boosted, generates higher energy recoils, allowing lower DM masses to be probed in existing detectors
- Projected sensitivity presented for DarkSide-50
 - > Sensitivity gained at lower masses
- Zero background sensitivity in DarkSide-20k shows promising potential
 - > 2 - 4 orders of magnitude increased sensitivity compared to DarkSide-50
 - > PLR in progress

What is Boosted Dark Matter?

BDM formation and properties

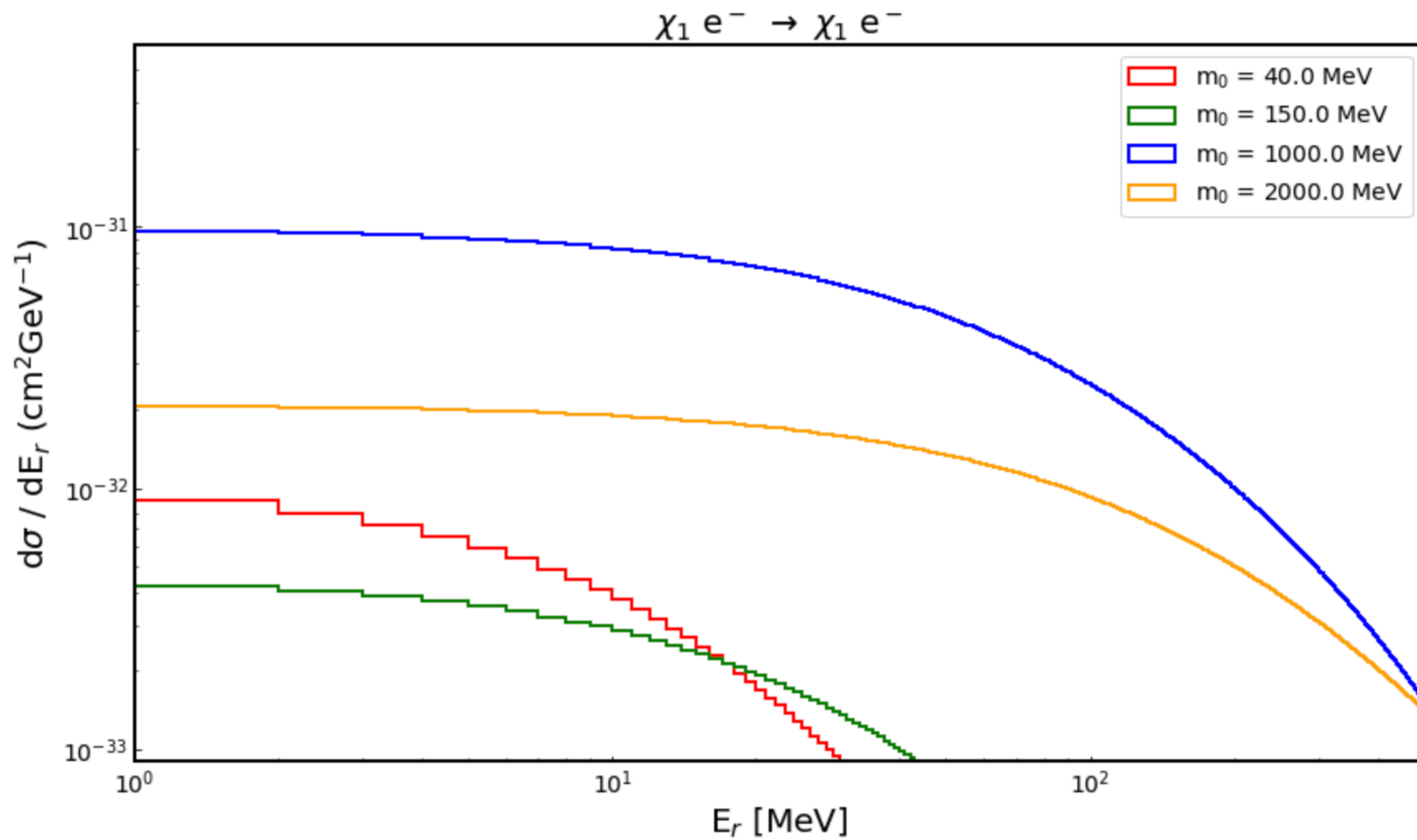
- 2 DM components: dominant χ_0 and subdominant χ_1
 $m_0 > m_1$
- χ_1 forms by self-annihilation of χ_0 in galactic centre:
 $\chi_0 \bar{\chi}_0 \rightarrow \chi_1 \bar{\chi}_1$
- χ_1 is kinematically Lorentz boosted (γ_1) due to mass difference between 2 components
 - higher energy ($E_1 = \gamma_1 m_1$) compared to equivalent 'normal' DM with mass m_1 , allowing lower masses to be probed
- Only χ_1 couples to SM
 - BDM could then be detected via e^- or nuclei scattering in terrestrial detectors
 - Paper refs



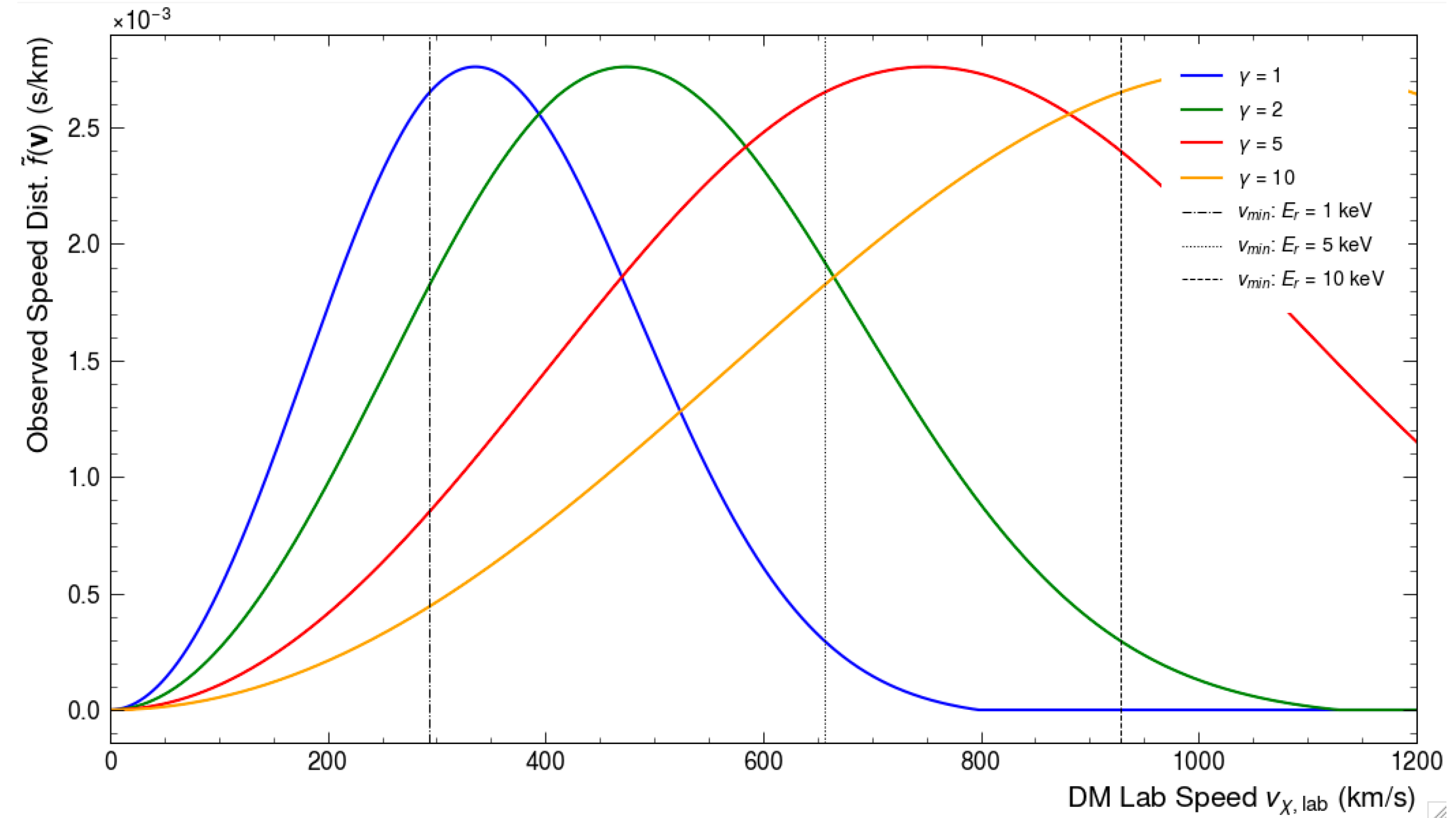
Expected event rate

$$\frac{dR}{dE_r} = \frac{1}{m_T} \frac{\rho_\chi}{m_\chi} \int_{|v| > v_{\min}}^{\infty} \frac{d\sigma}{dE_r} f(v; v_E) |v| d^3v$$

Differential cross-section



Velocity distribution



Expected flux

