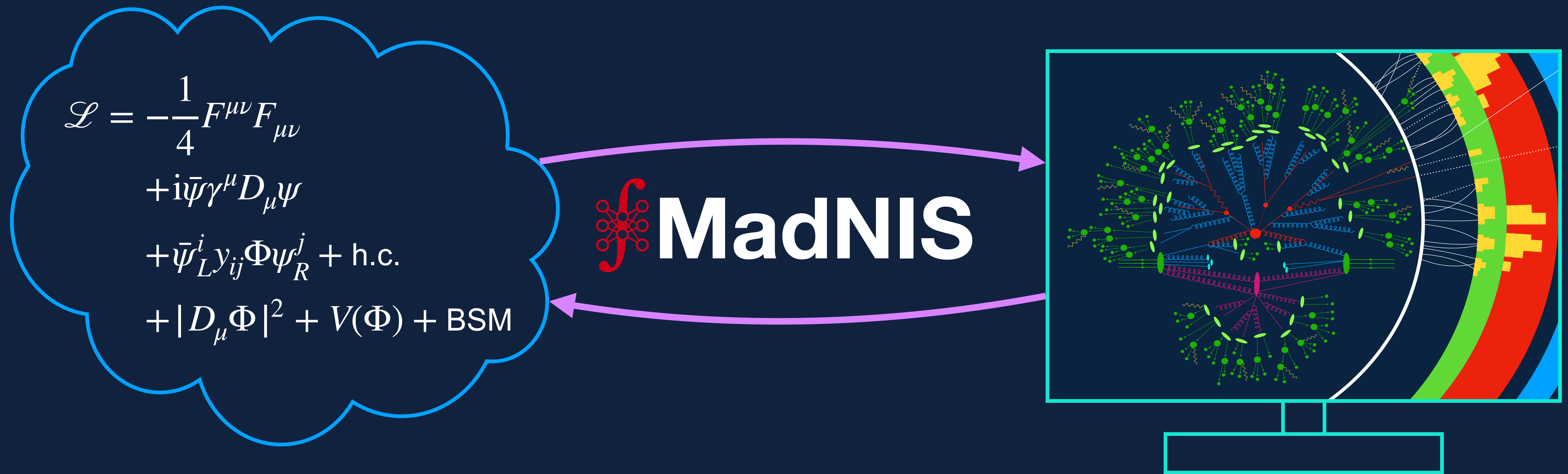
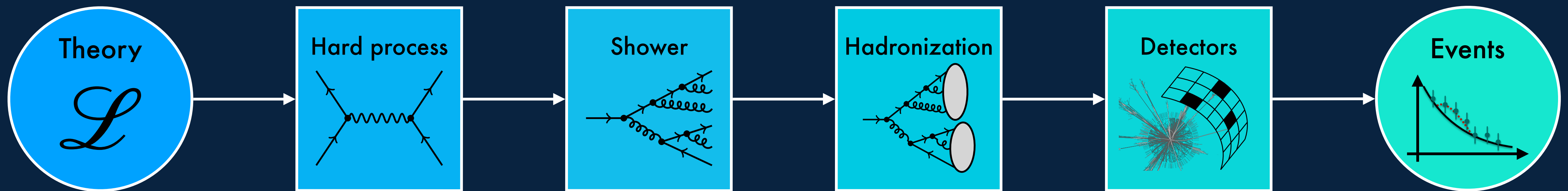


The MadNIS Reloaded

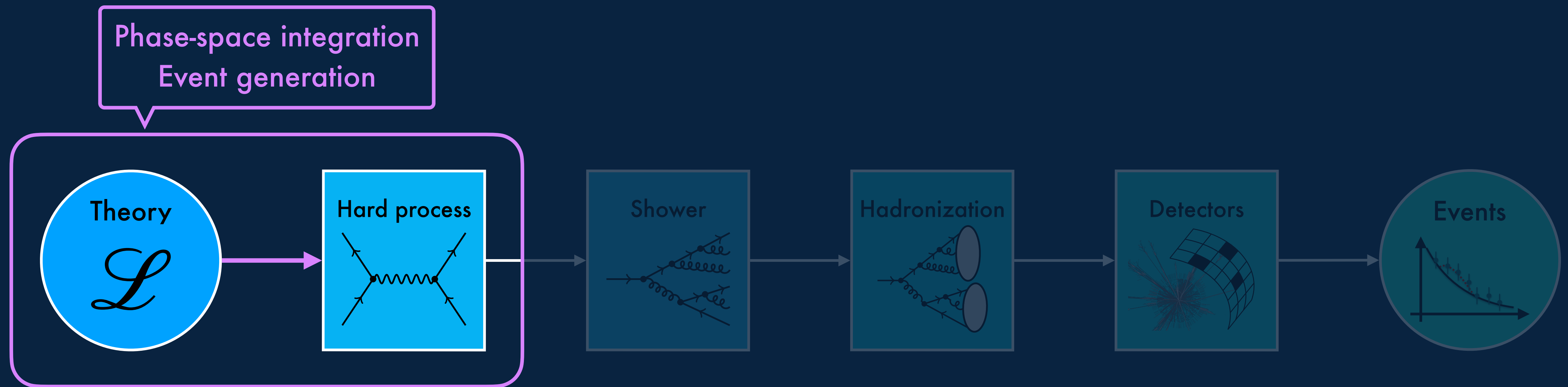
Enhancing MadGraph with Neural Importance Sampling



The LHC simulation chain



The LHC simulation chain + ML



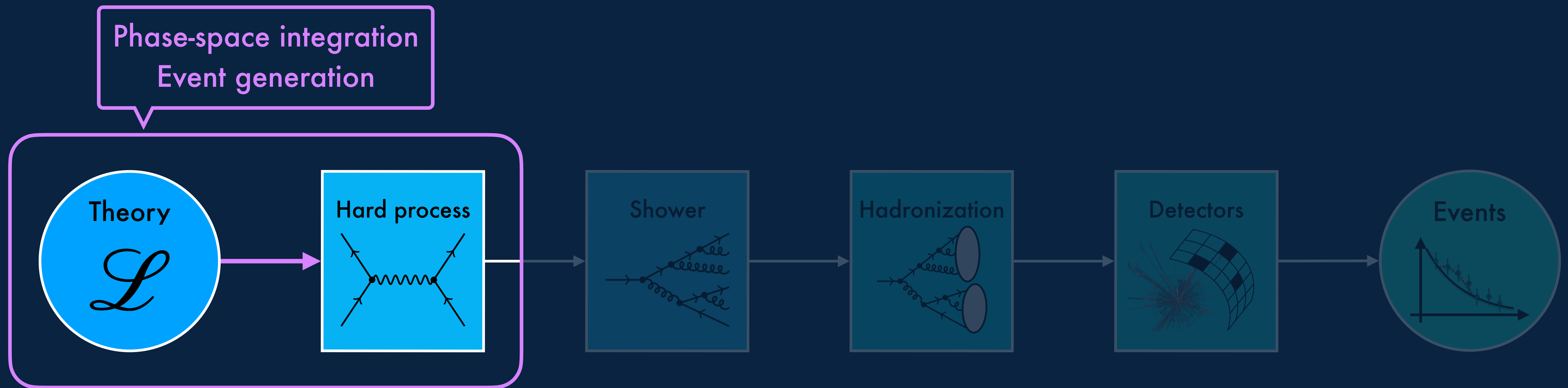
Importance sampling

BDT [1707.00028], NN [1810.11509, 2009.07819]
NF [2001.05486, 2001.05478, 2001.10028, 2005.12719,
2112.09145, 2212.06172, 2311.01548, 2401.09069]
Chili [2302.10449]

Surrogate regression

Full weight [2109.11964],
Matrix element [1912.11055, 2002.07516,
2006.16273, 2106.09474, 2107.06625, 2109.11964,
2206.14831, 2301.13562, 2302.04005, 2306.07726]

The LHC simulation chain + ML



Importance sampling

BDT [1707.00028], NN [1810.11509, 2009.07819]
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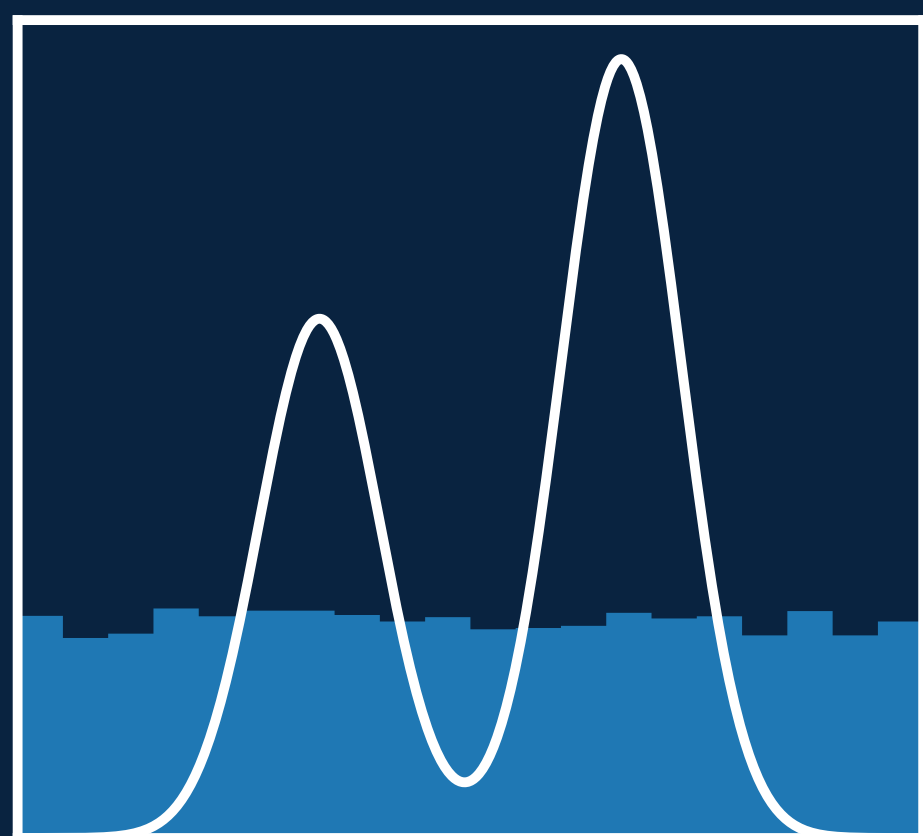
Surrogate regression

Full weight [2109.11964],
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2006.16273, 2106.09474, 2107.06625, 2109.11964,
2206.14831, 2301.13562, 2302.04005, 2306.07726]

Event generation

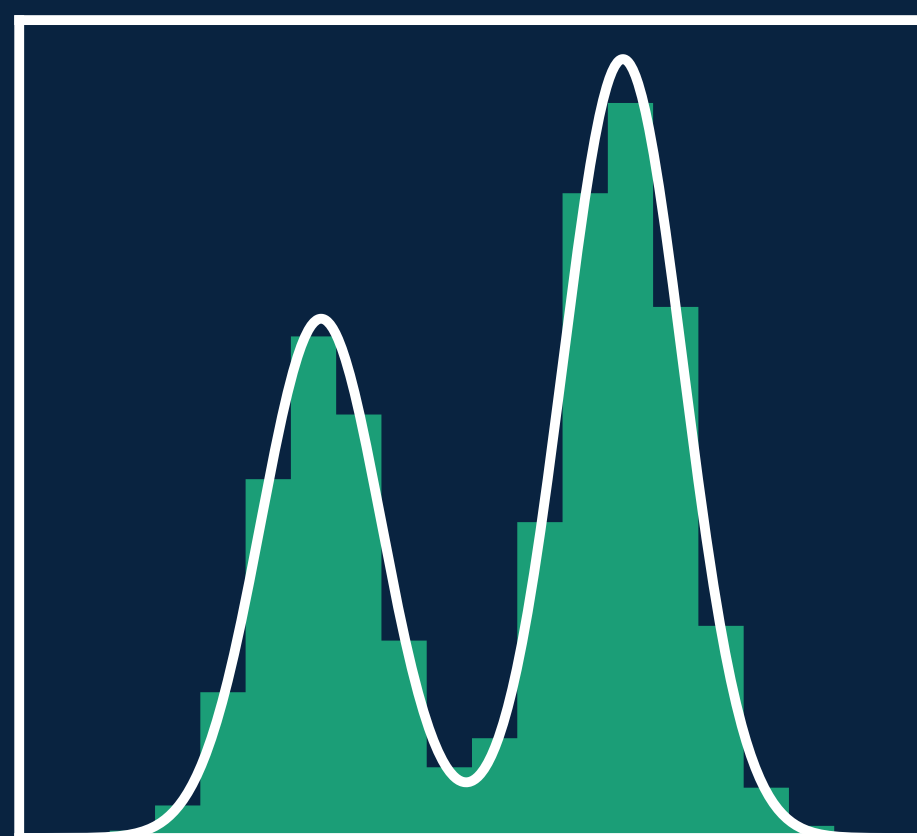
Calculate (differential) cross sections

$$d\sigma = \frac{1}{\text{flux}} dx_a dx_b f(x_a) f(x_b) d\Phi_n \langle |M_{\lambda,c,\dots}(p_a, p_b | p_1, \dots, p_n)|^2 \rangle$$



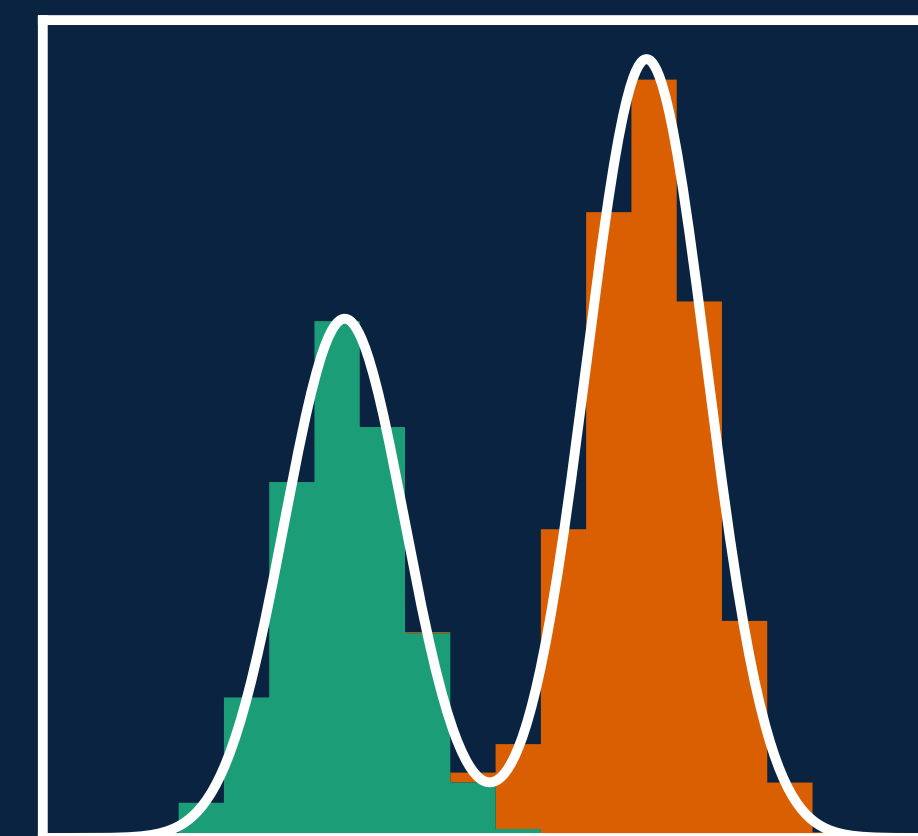
Flat sampling:
inefficient

$$I = \langle f(x) \rangle_{x \sim \text{unif}}$$



Importance sampling:
find g close to f

$$I = \left\langle \frac{f(x)}{g(x)} \right\rangle_{x \sim g(x)}$$



Multi-channel:
one map for each channel

$$I = \sum_i \left\langle \alpha_i(x) \frac{f(x)}{g_i(x)} \right\rangle_{x \sim g_i(x)}$$

Event generation

Calculate (differential) cross sections

$$d\sigma = \frac{1}{\text{flux}} dx_a dx_b f(x_a) f(x_b) d\Phi_n \langle |M_{\lambda,c,\dots}(p_a, p_b | p_1, \dots, p_n)|^2 \rangle$$

Sum over channels

MadGraph: build channels from Feynman diagrams

Integrand

MadGraph: $d\sigma/dx$

$$I = \sum_i \left\langle \alpha_i(x) \frac{f(x)}{g_i(x)} \right\rangle_{x \sim g_i(x)}$$

Channel weights

MadGraph: $\alpha_i \sim |M_i|^2$

or

$$\alpha_i \sim \prod_k |p_k^2 - m_k^2 - im_k \Gamma_k|^{-2}$$

Channel mappings

MadGraph: use amplitude structure, ... refine with **VEGAS** (factorized, histogram based importance sampling)

MadNIS

Neural Importance Sampling

Heimel, Huetsch, Maltoni, Mattelaer, Plehn, RW [[2311.01548](#)]

Heimel, RW, Butter, Isaacson, Krause, Maltoni, Mattelaer, Plehn [[2212.06172](#)]

MadNIS — Basic functionality



$$I = \sum_i \left\langle \alpha_i(x) \frac{f(x)}{g_i(x)} \right\rangle_{x \sim g_i(x)}$$



Use physics knowledge to construct channel and mappings



Normalizing flow to refine channel mappings



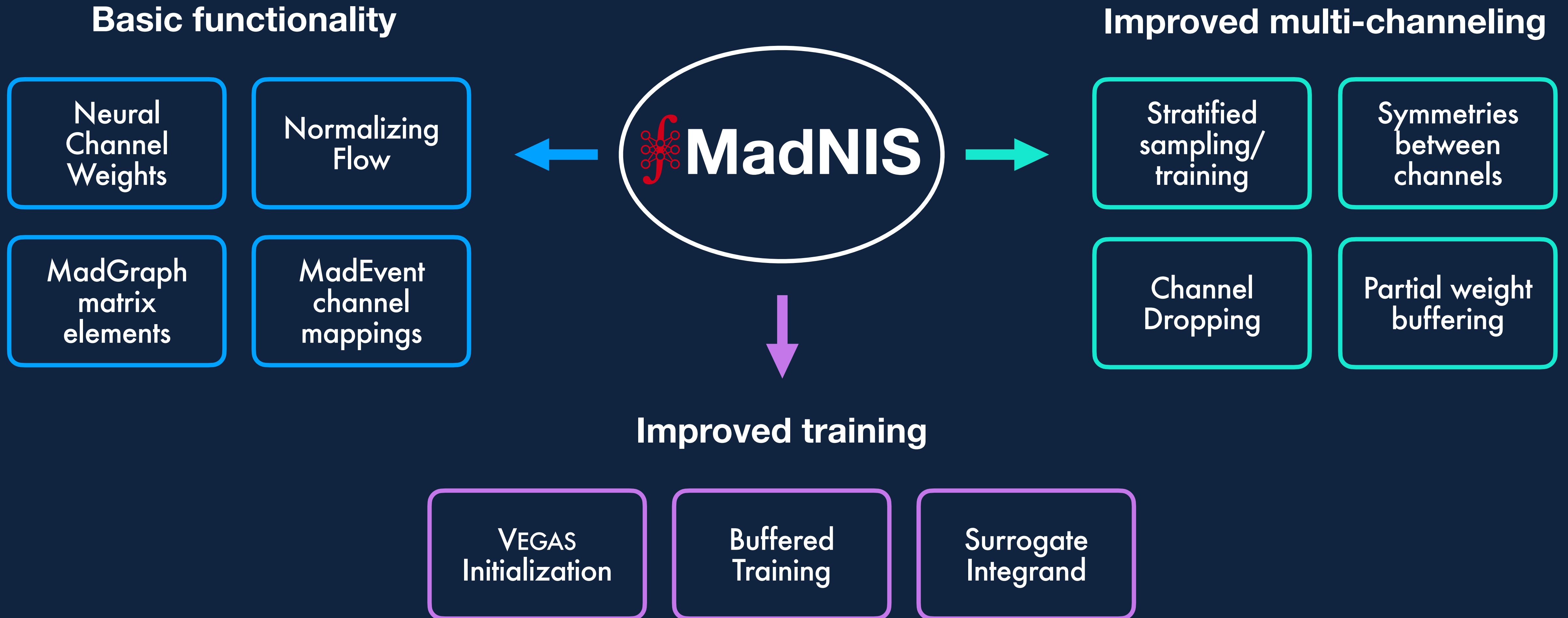
Fully connected network to refine channel weights



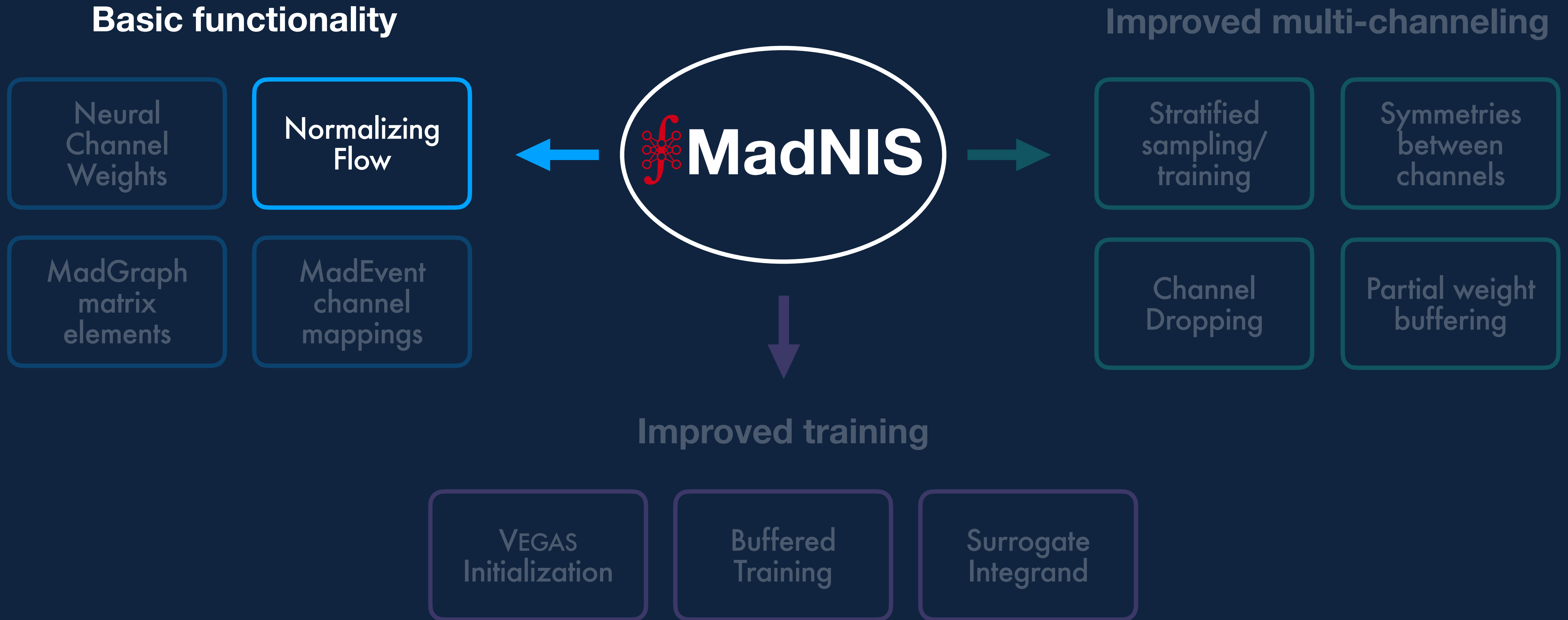
Update simultaneously with variance as loss function



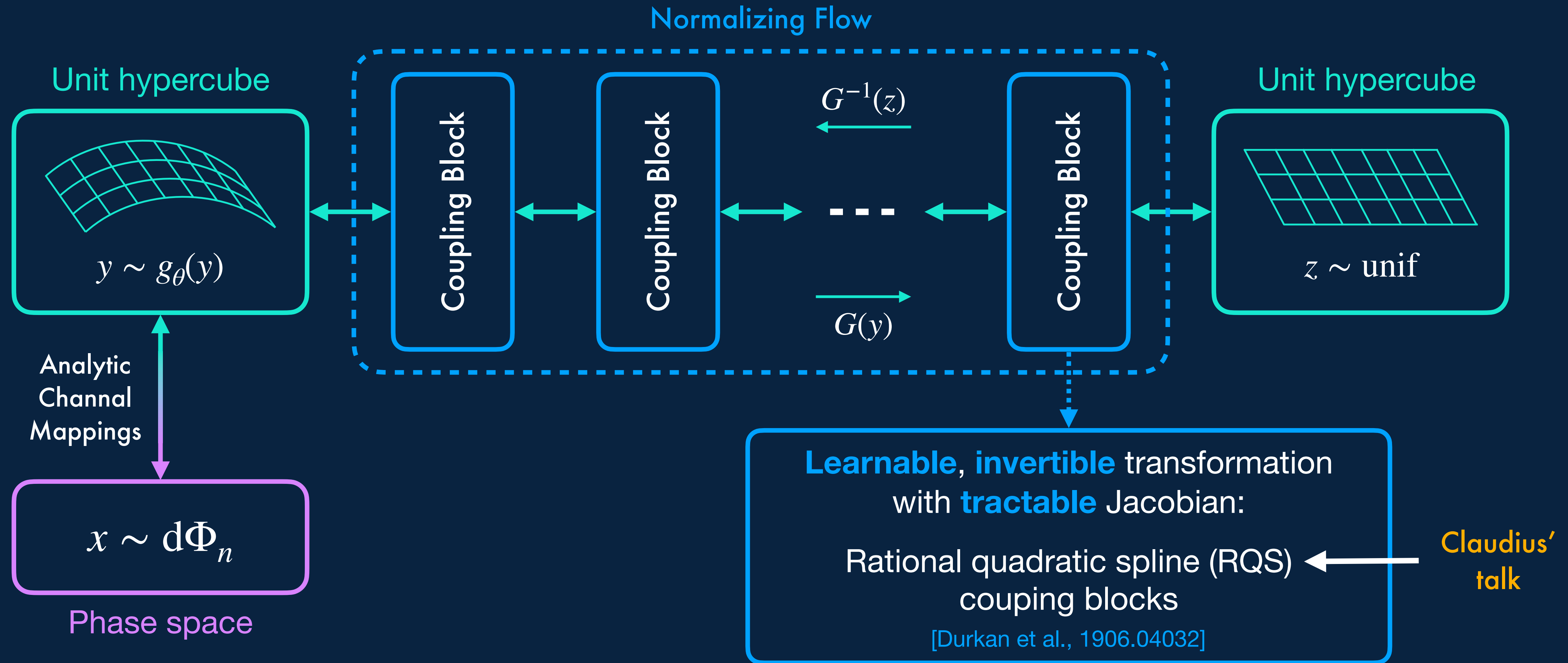
MadNIS — Overview



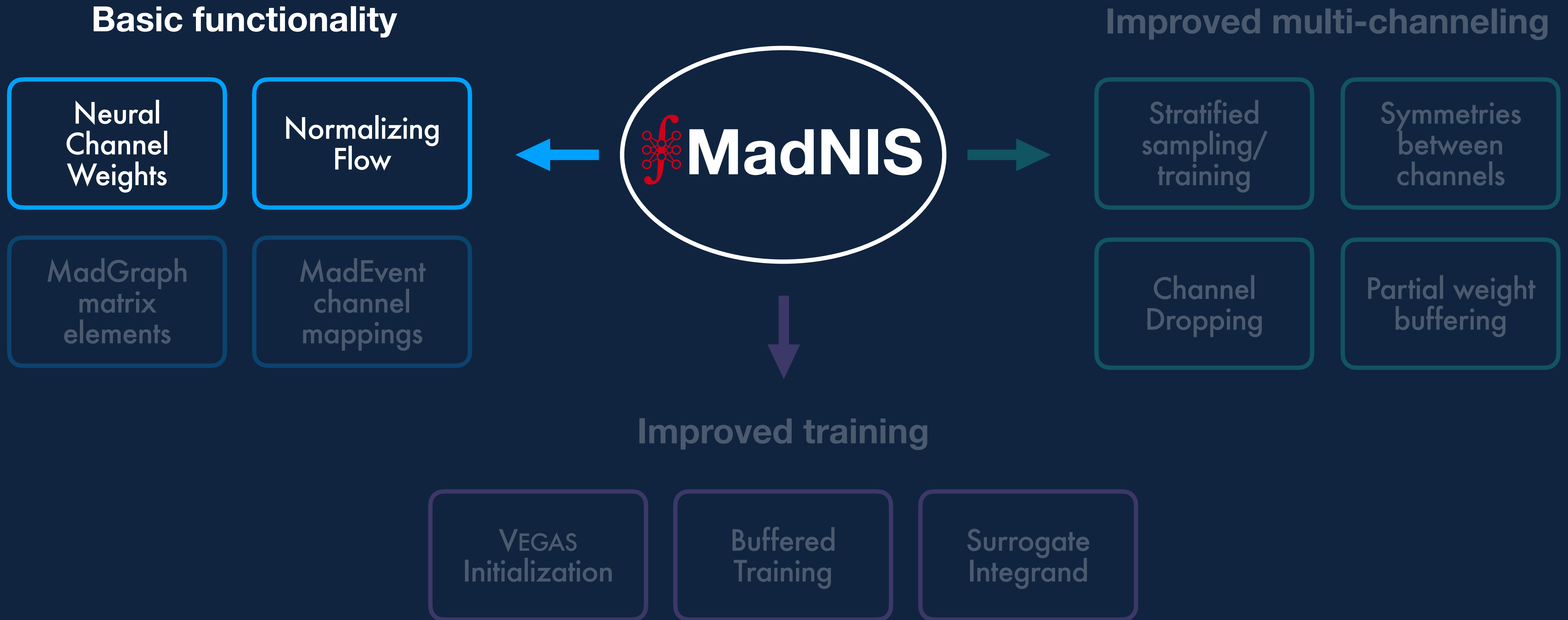
MadNIS — Overview



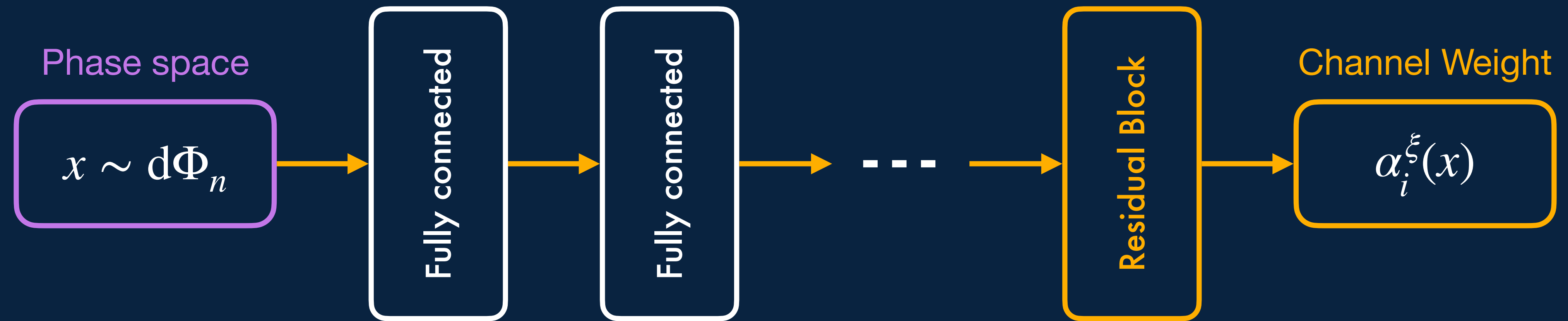
Neural importance sampling



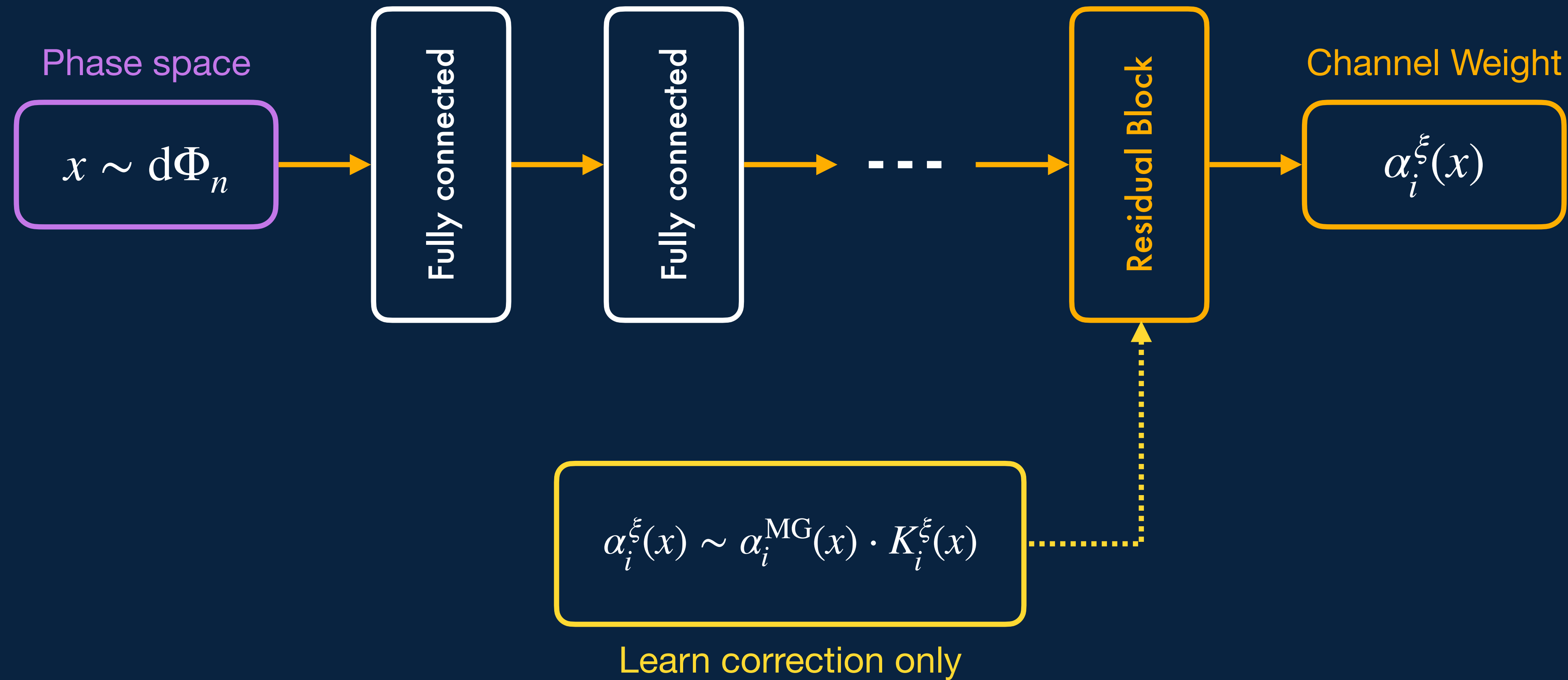
MadNIS — Overview



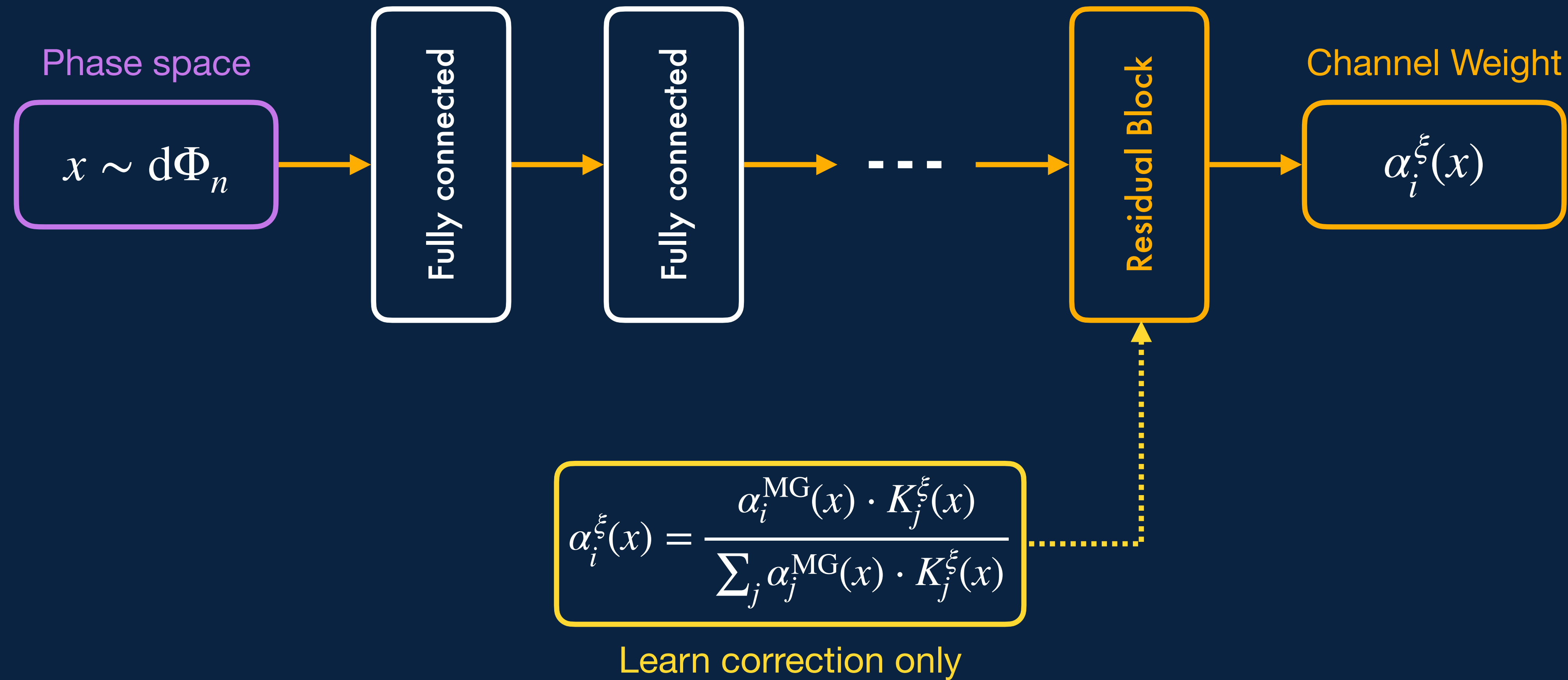
Neural Channel Weights



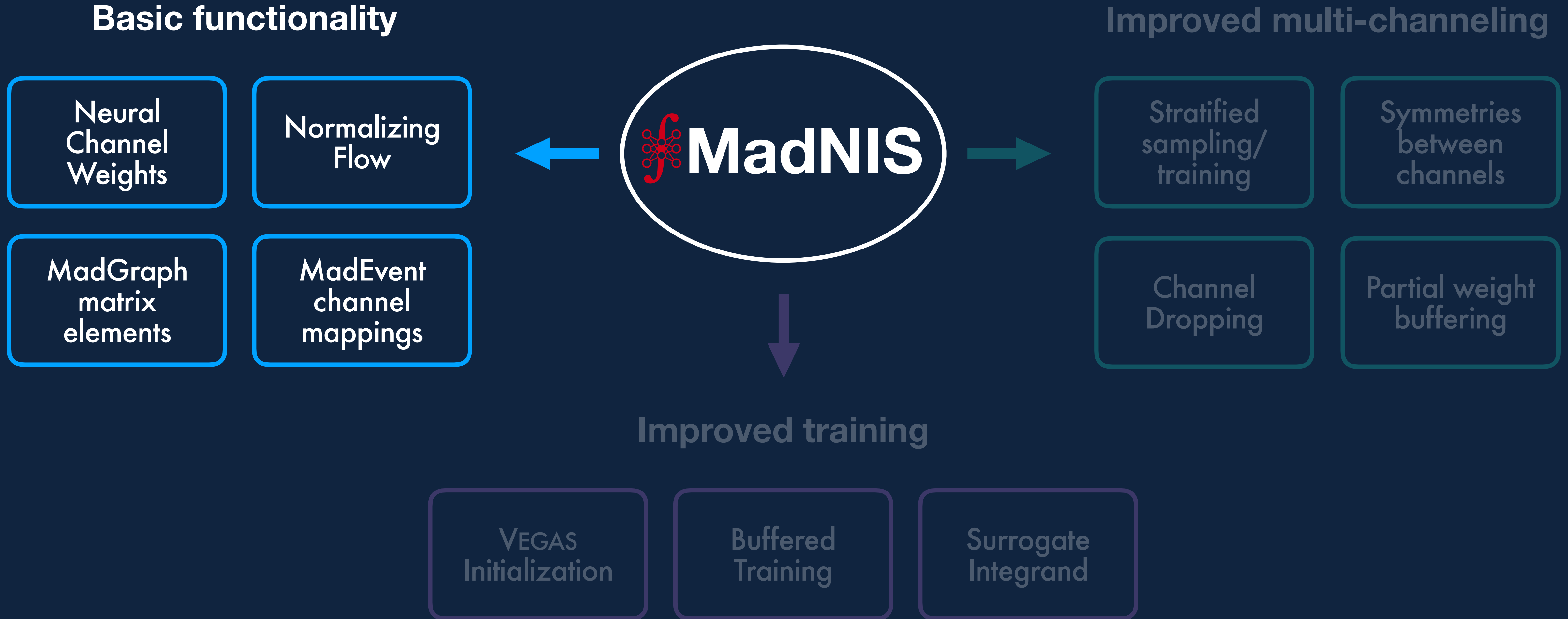
Neural Channel Weights



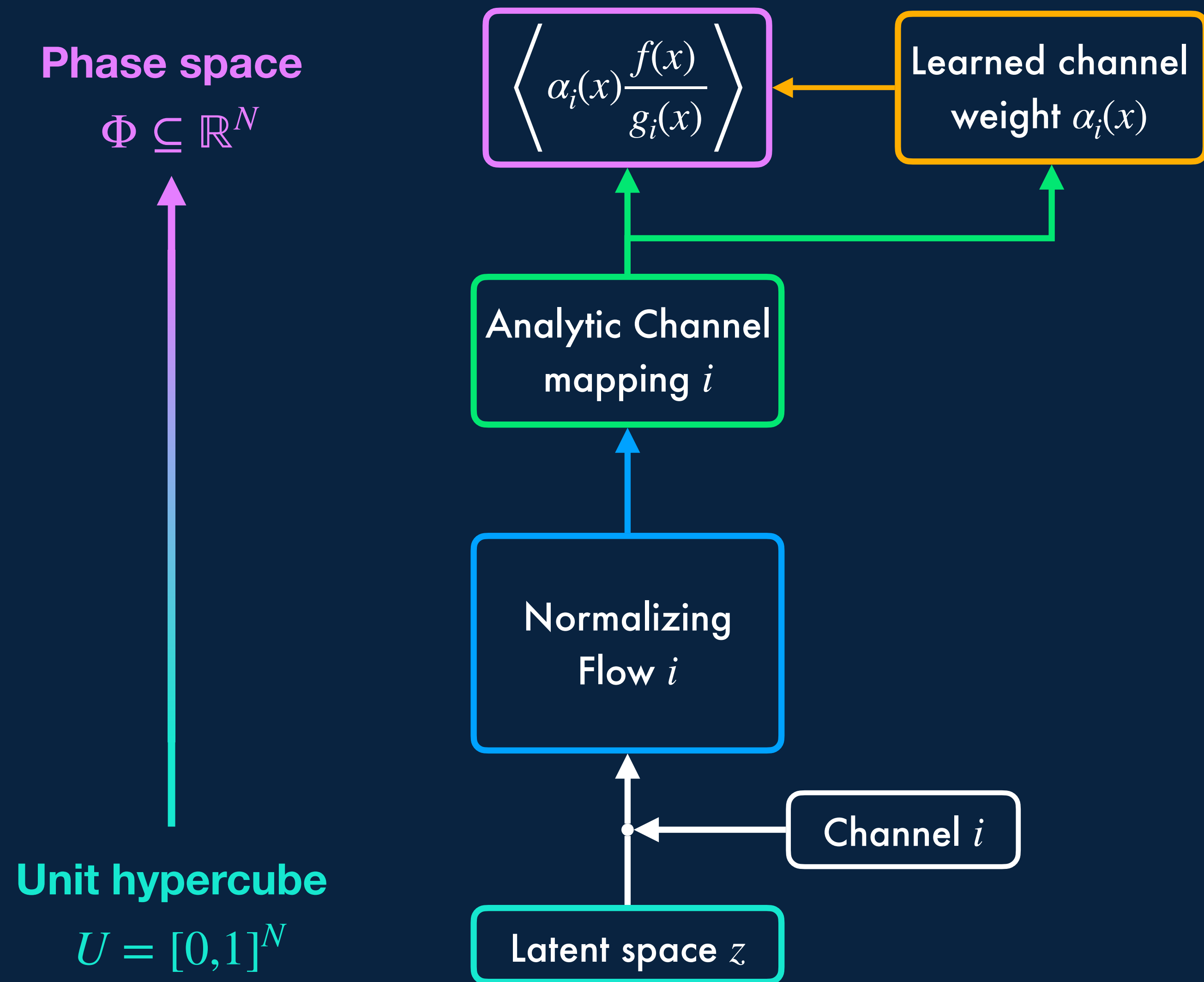
Neural Channel Weights



MadNIS — Overview



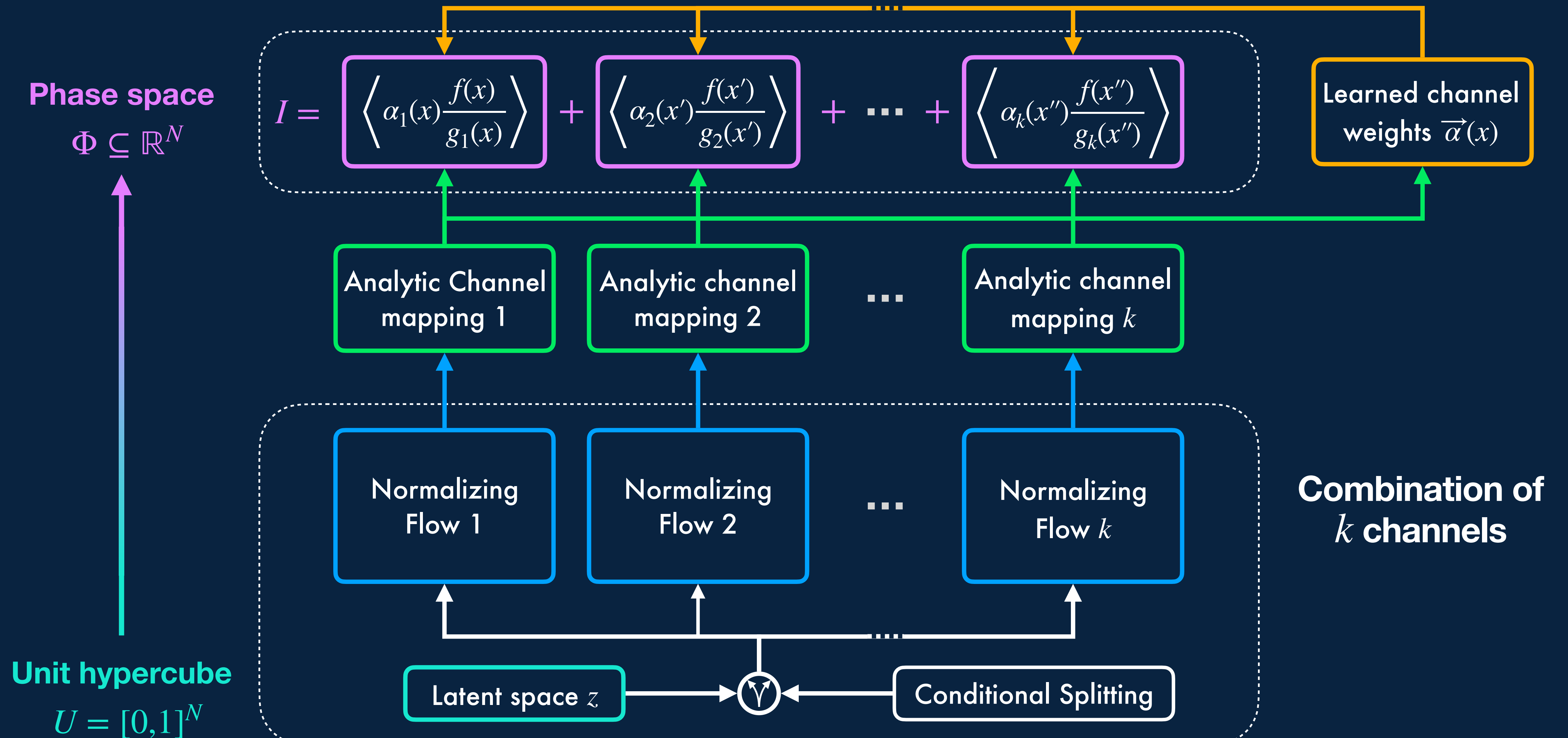
MadNIS – Basic functionality



Single channel i

MadNIS – Basic functionality

16



Loss function

Minimize total variance

$$\sigma_{\text{tot}}^2 = N \sum_i \frac{\sigma_i^2}{N_i} \quad \text{with}$$

$$\sigma_i^2 = \left\langle \alpha_i^2(x) \frac{f^2(x)}{g_i^2(x)} \right\rangle_{x \sim g_i(x)} - \left\langle \alpha_i(x) \frac{f(x)}{g_i(x)} \right\rangle_{x \sim g_i(x)}^2$$

Total variance depends on N_i



affects optimal $\alpha_i(x)$



use stratified sampling

$$N_i = N \frac{\sigma_i}{\sum_k \sigma_k}$$

Loss function

Minimize total variance

$$\sigma_{\text{tot}}^2 = N \sum_i \frac{\sigma_i^2}{N_i} \quad \text{with}$$

$$\sigma_i^2 = \left\langle \alpha_i^2(x) \frac{f^2(x)}{g_i^2(x)} \right\rangle_{x \sim g_i(x)} - \left\langle \alpha_i(x) \frac{f(x)}{g_i(x)} \right\rangle_{x \sim g_i(x)}^2$$

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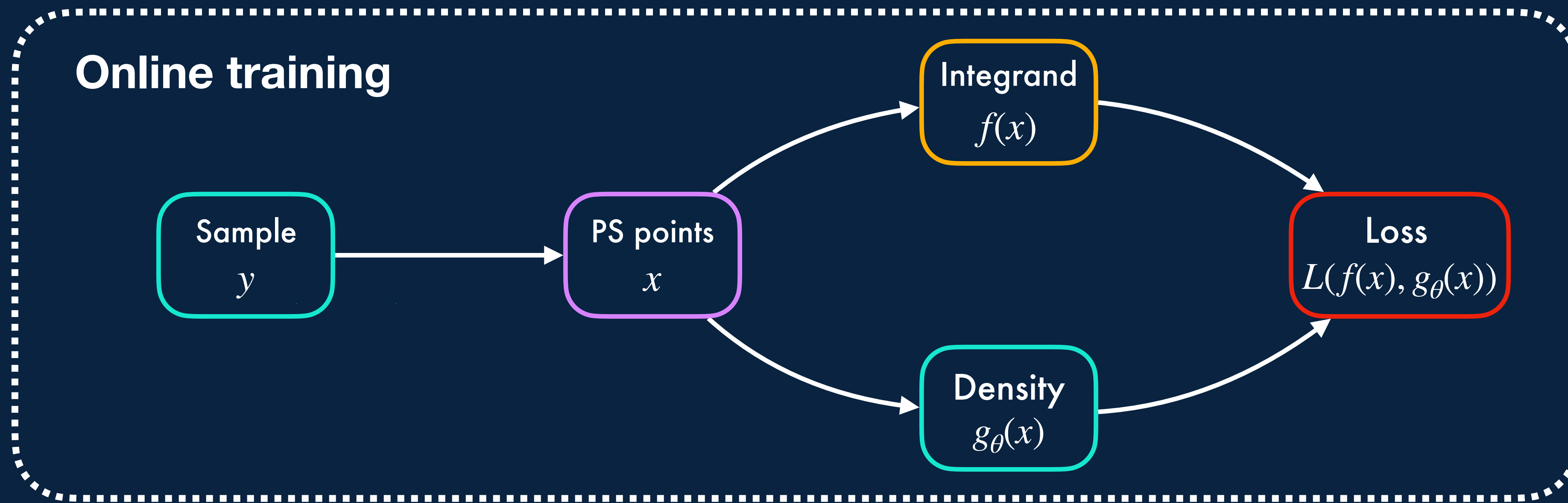
MadNIS loss function

$$\mathcal{L} = \sigma_{\text{tot}}^2 = \left(\sum_i \sigma_i \right)^2$$

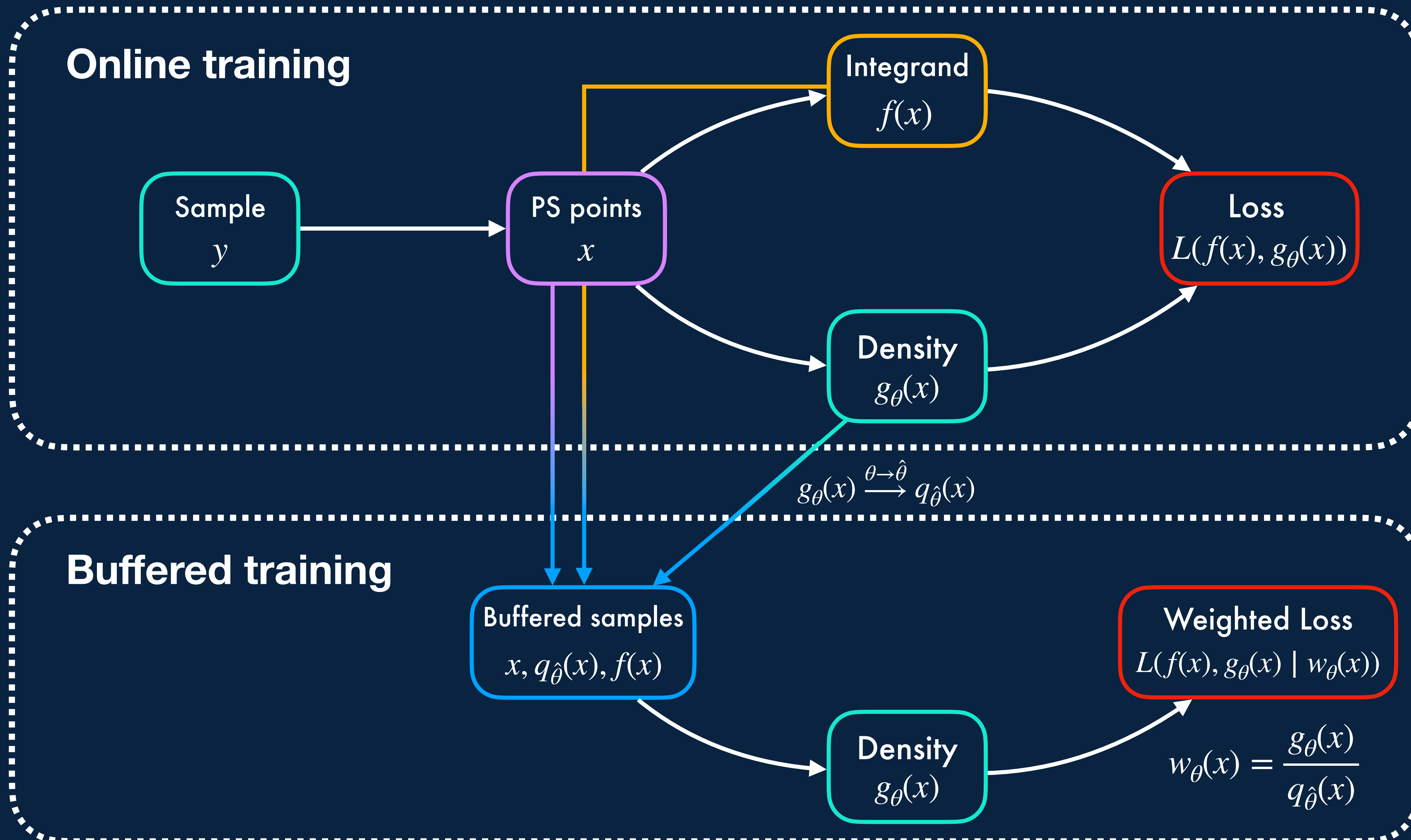
MadNIS — Overview



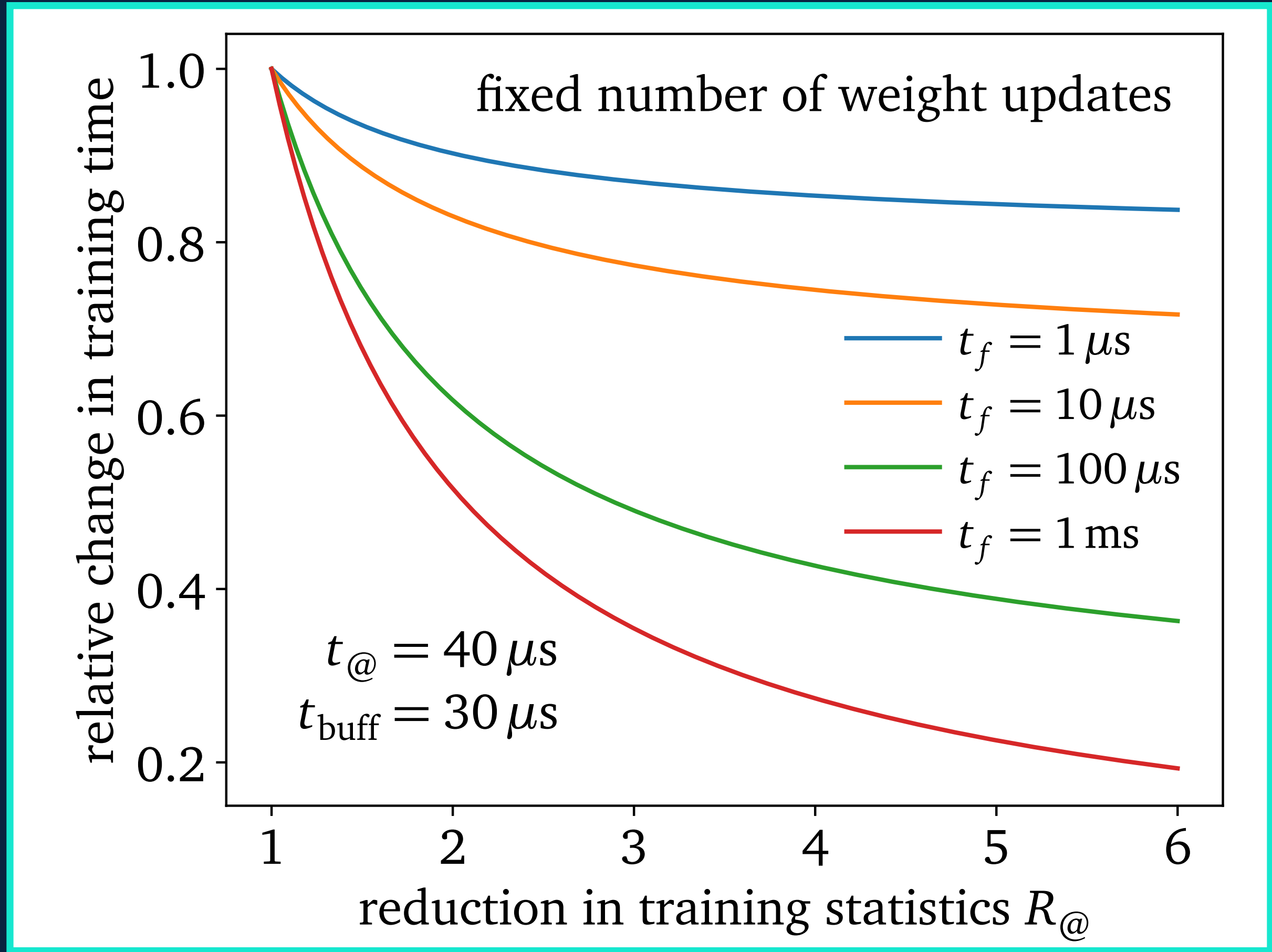
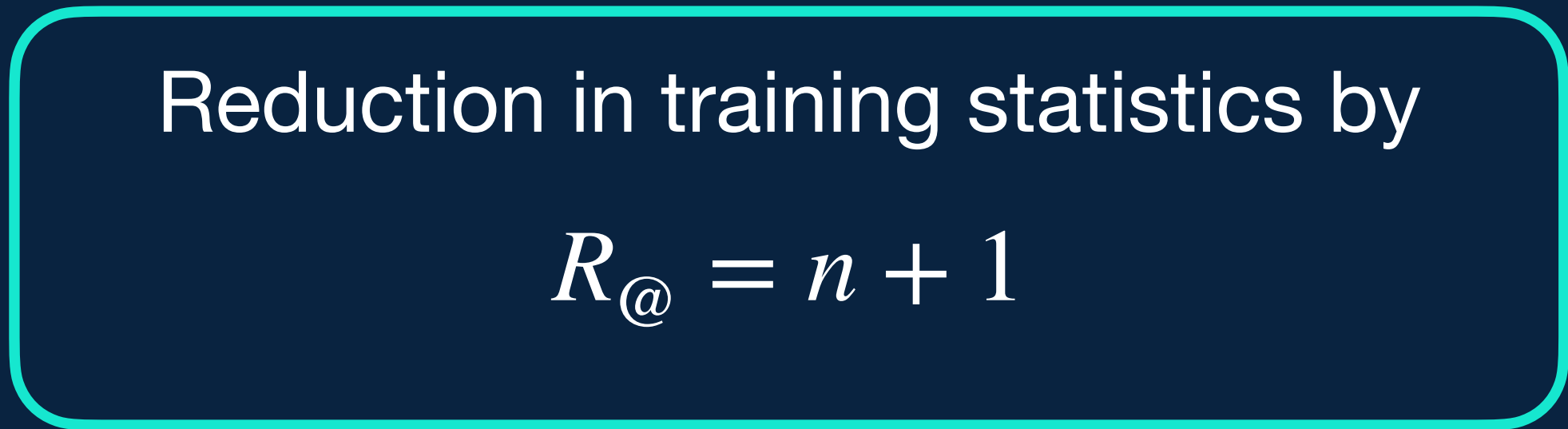
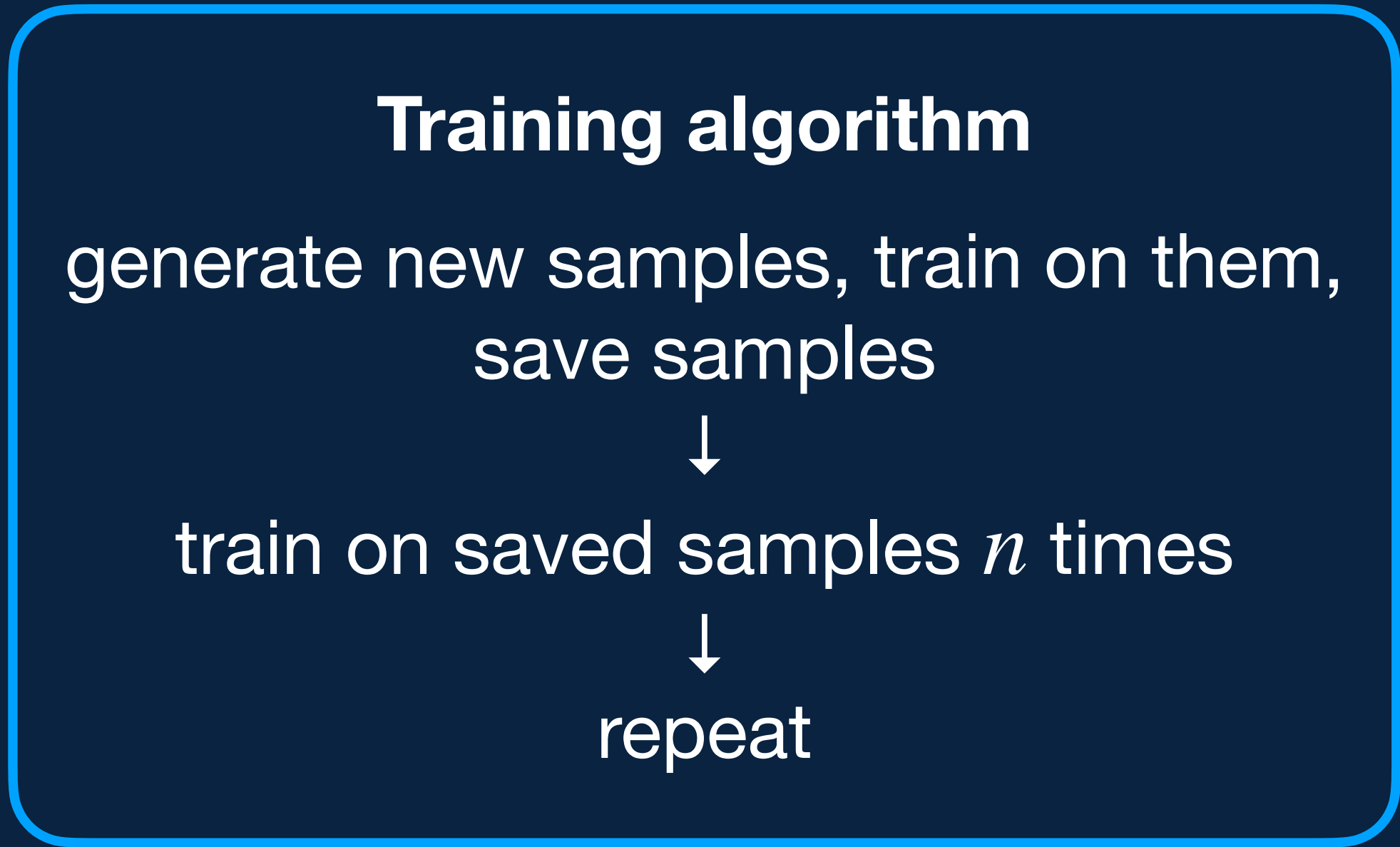
Buffered training



Buffered training



Buffered training



MadNIS — Overview



VEGAS initialization



	VEGAS	Flow
Training	Fast	Slow
Correlations	No	Yes



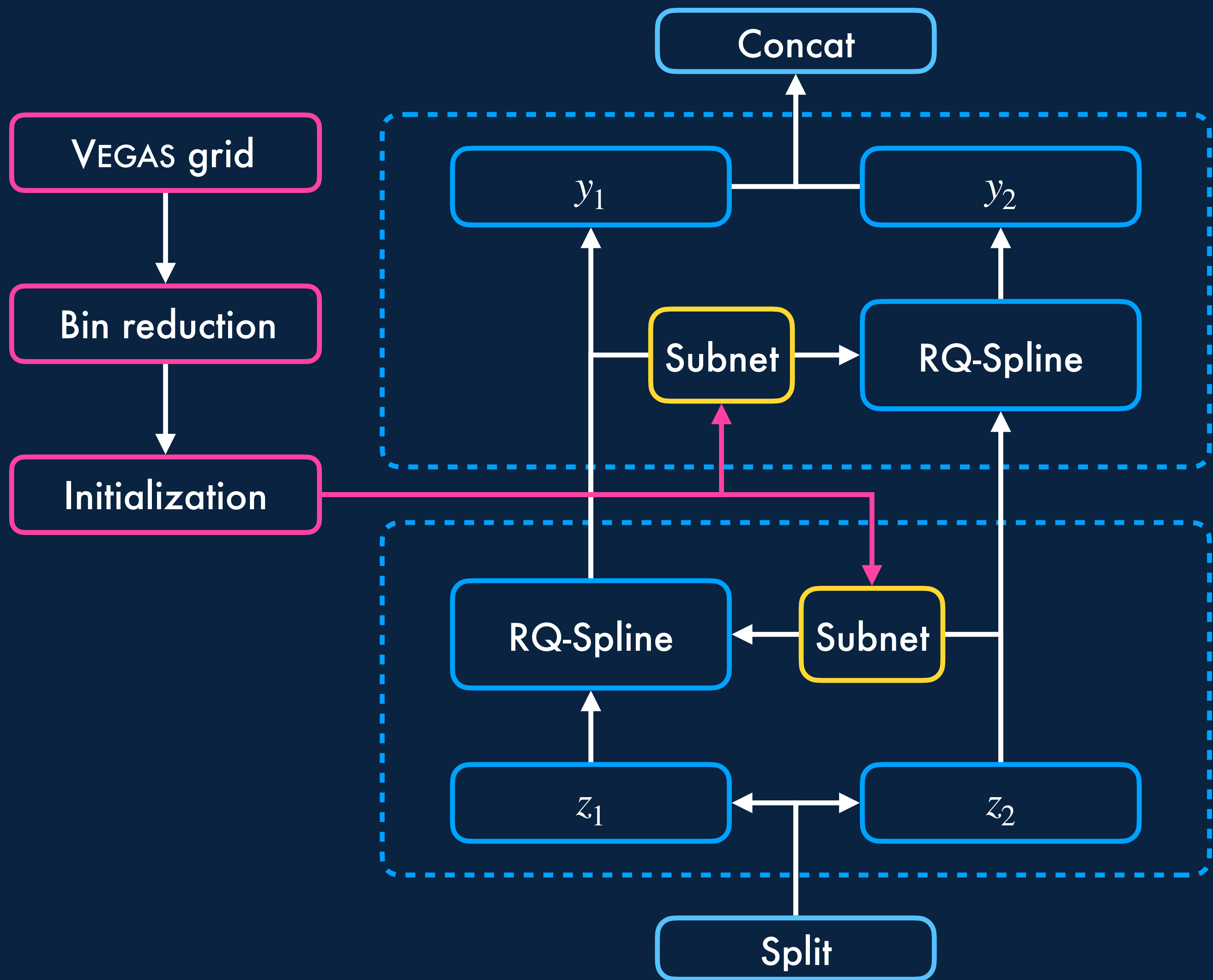
Combine advantages:
Pre-trained VEGAS grid as
starting point for flow training

VEGAS initialization

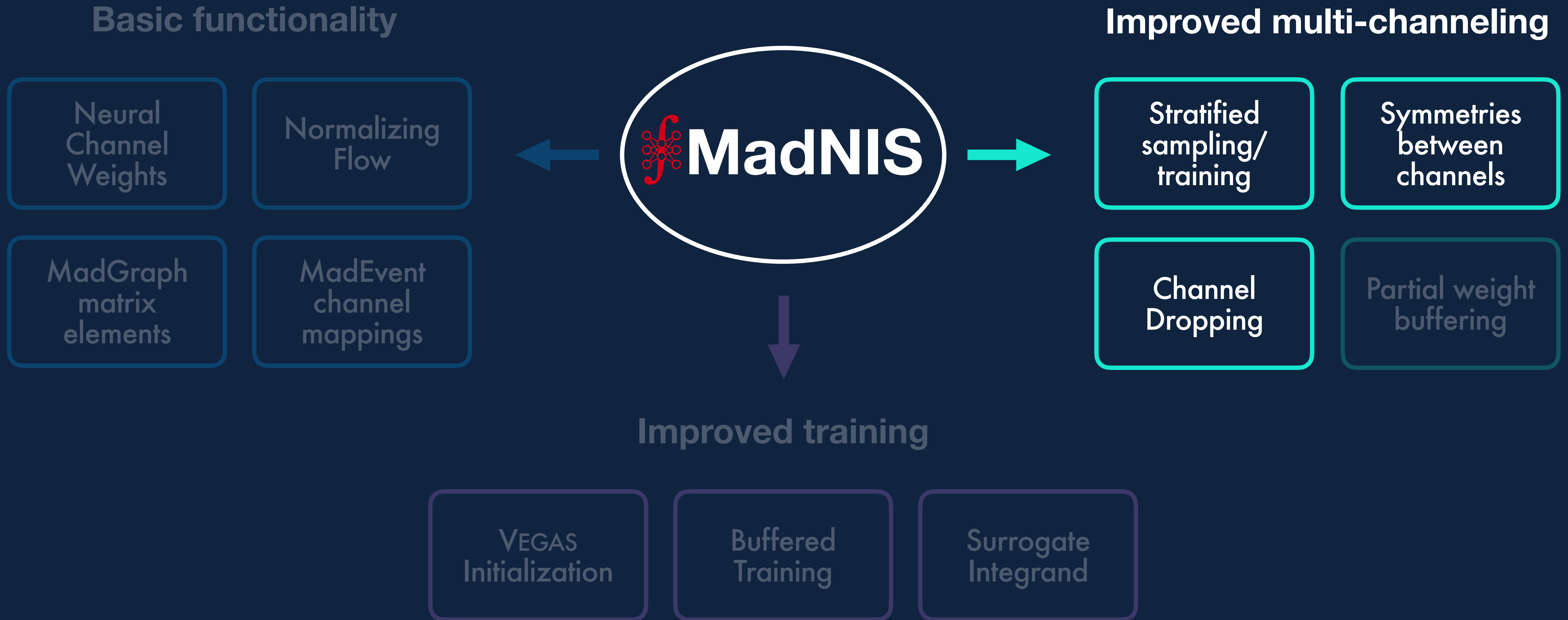
	VEGAS	Flow
Training	Fast	Slow
Correlations	No	Yes



Combine advantages:
Pre-trained VEGAS grid as starting point for flow training



MadNIS — Overview



Improved multi-channeling

Use symmetries

Groups of channels only **differ by permutations** of final state momenta



use **common flow** and combine in loss function

Stratified training

Channels have different **contributions** to the total variance



more samples for channels with **higher variance** during training

Channel dropping

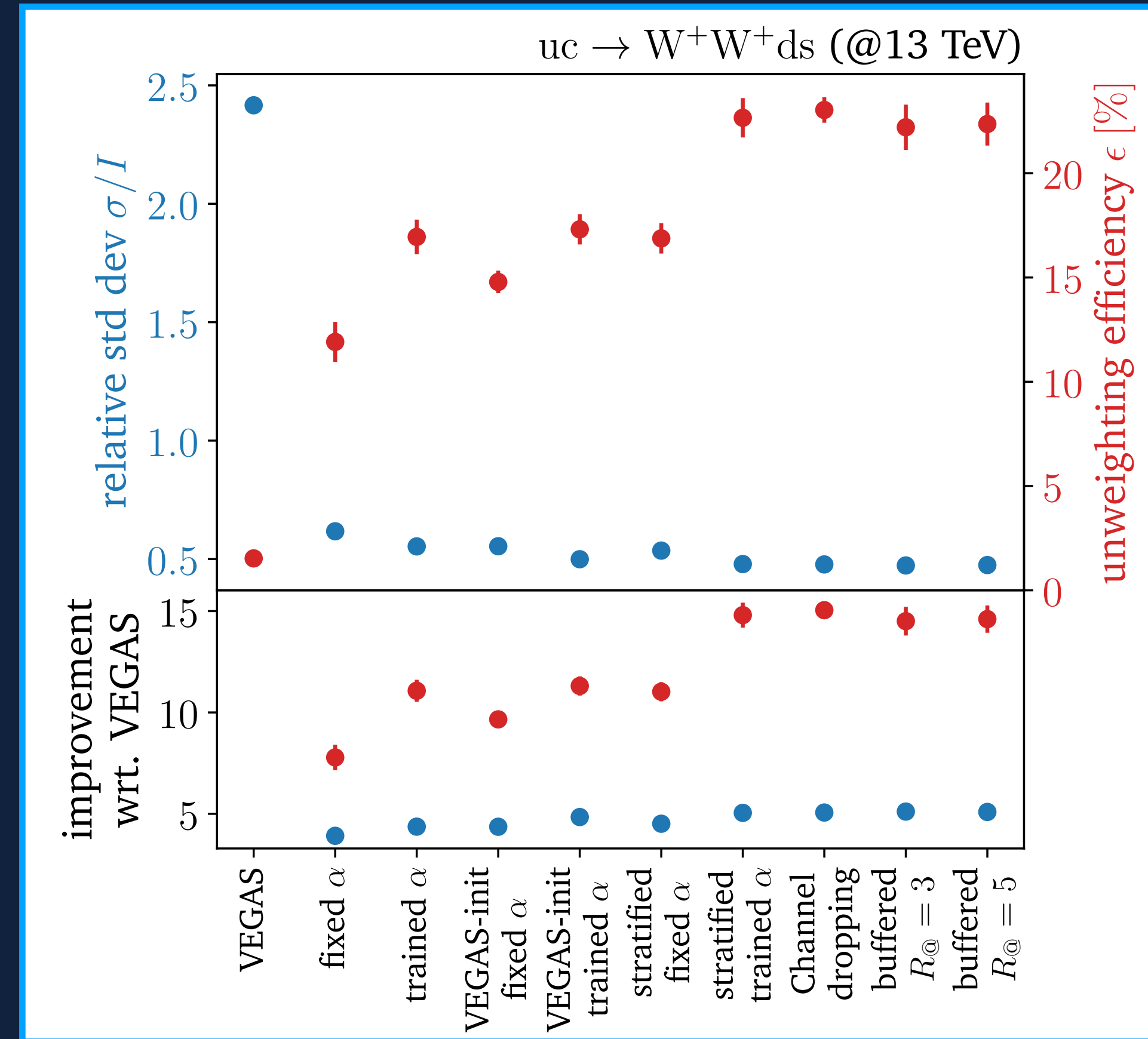
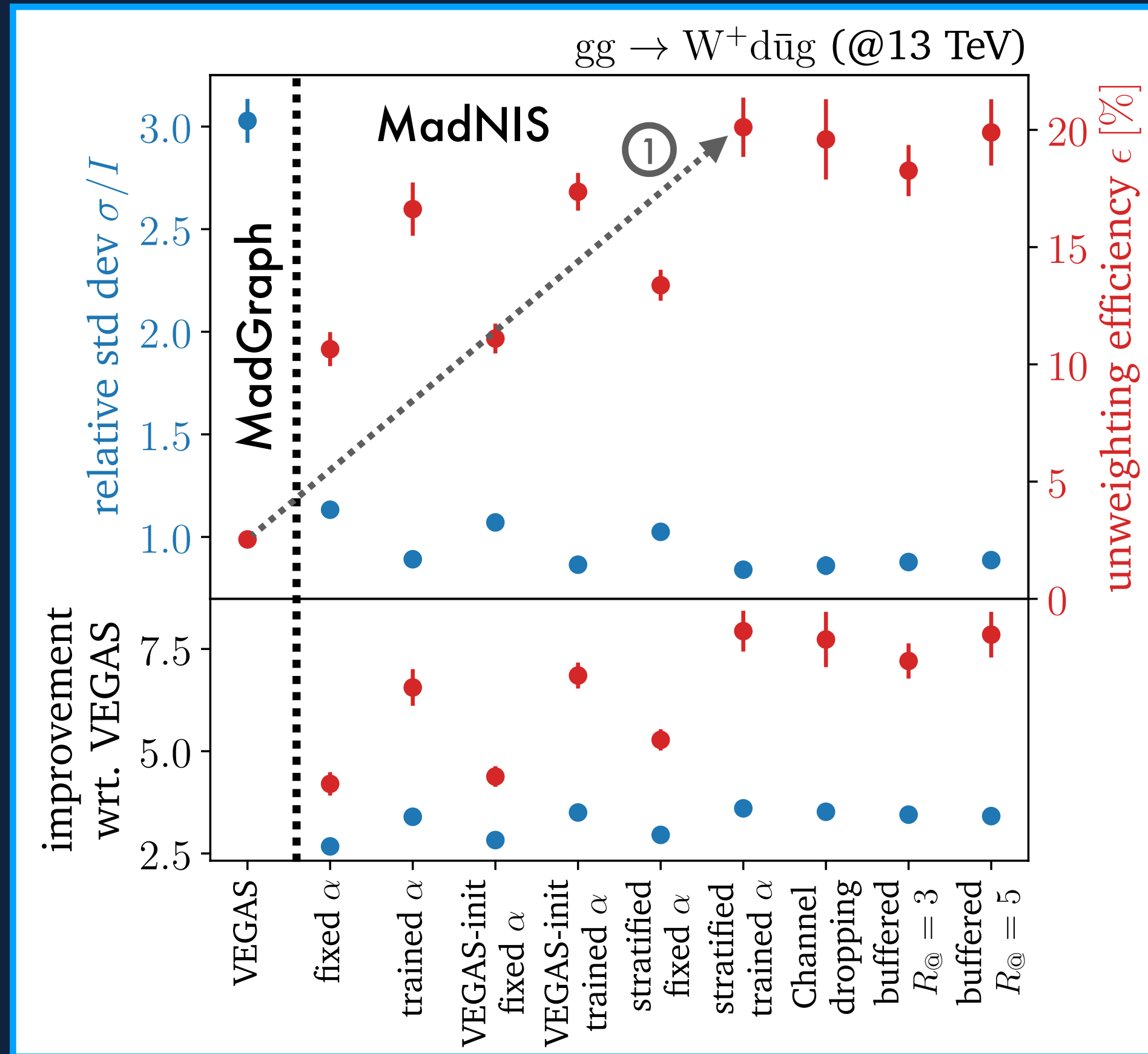
MadNIS often **reduces contribution** of some channels to total integral



remove these channels from the **training** completely

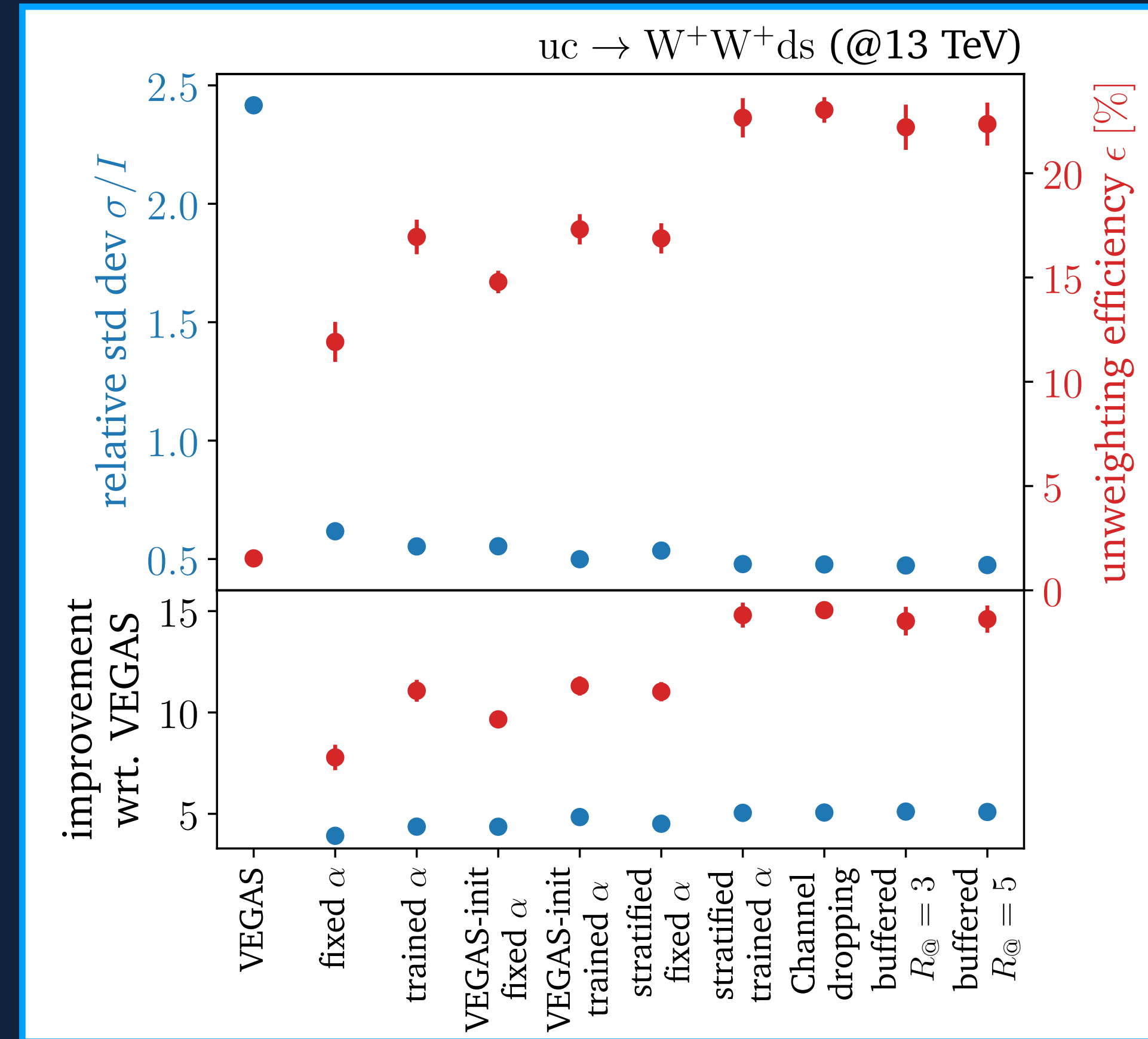
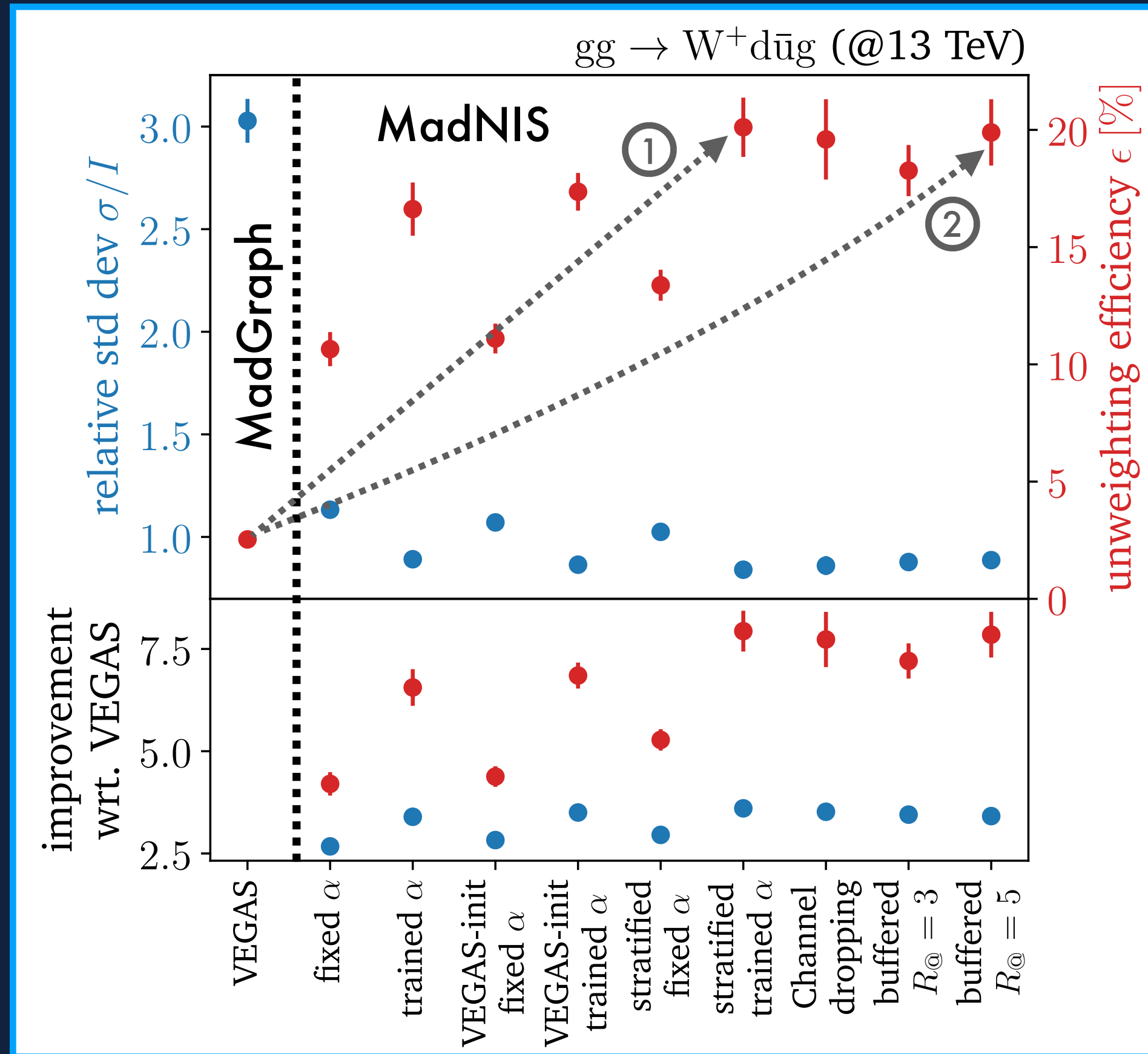
Reduced complexity
Improved stability

LHC processes



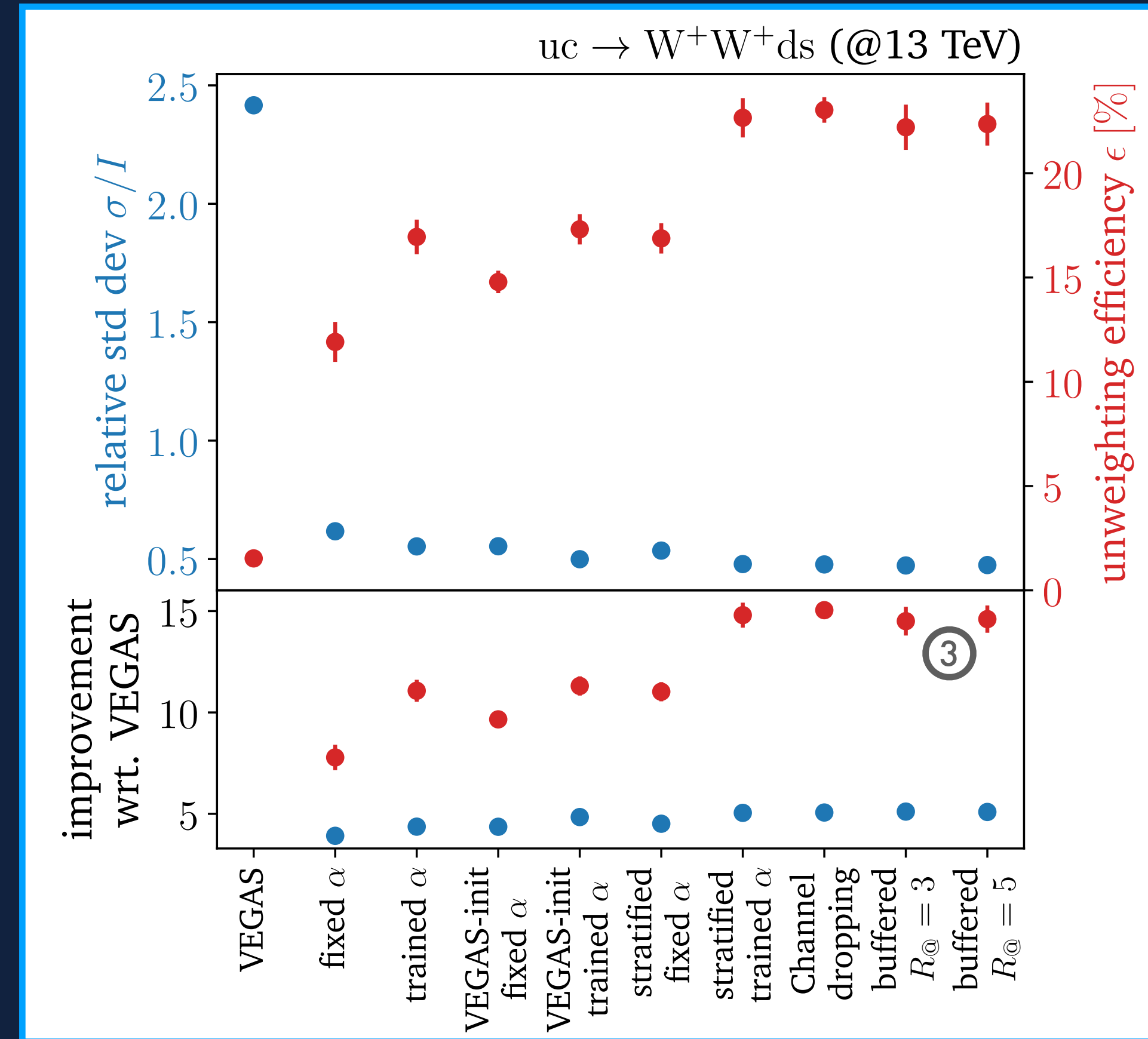
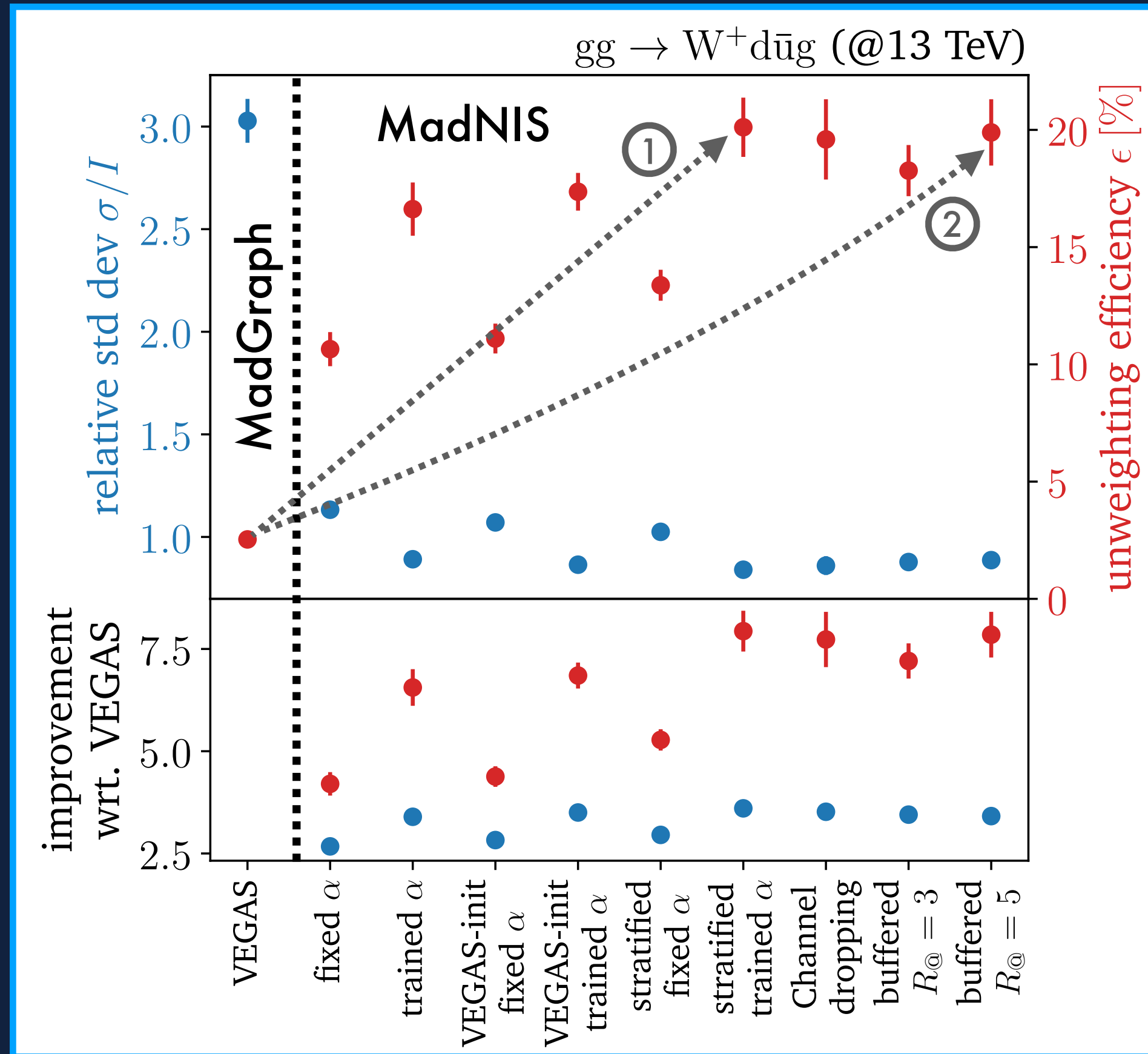
1. excellent results with all improvements

LHC processes



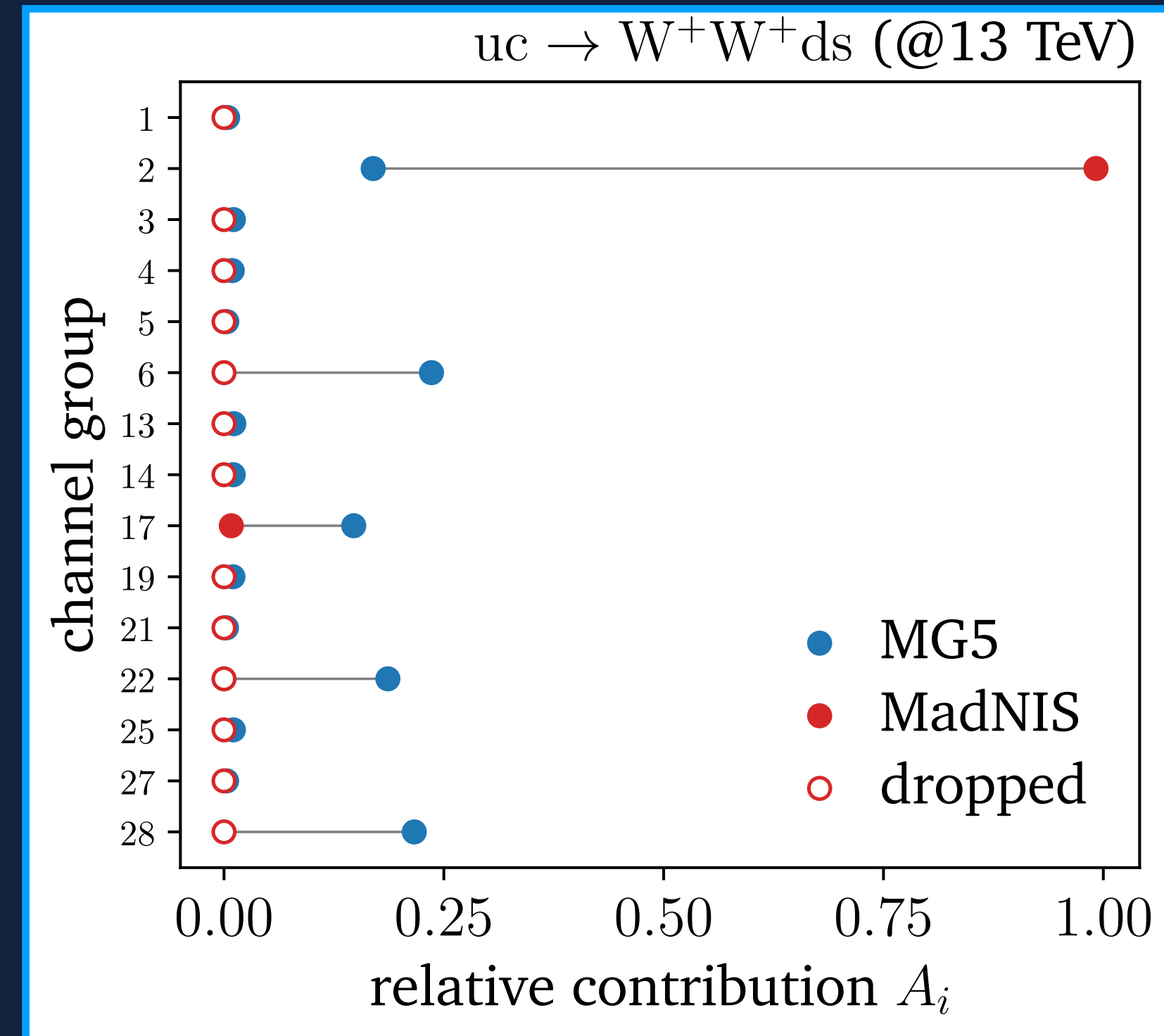
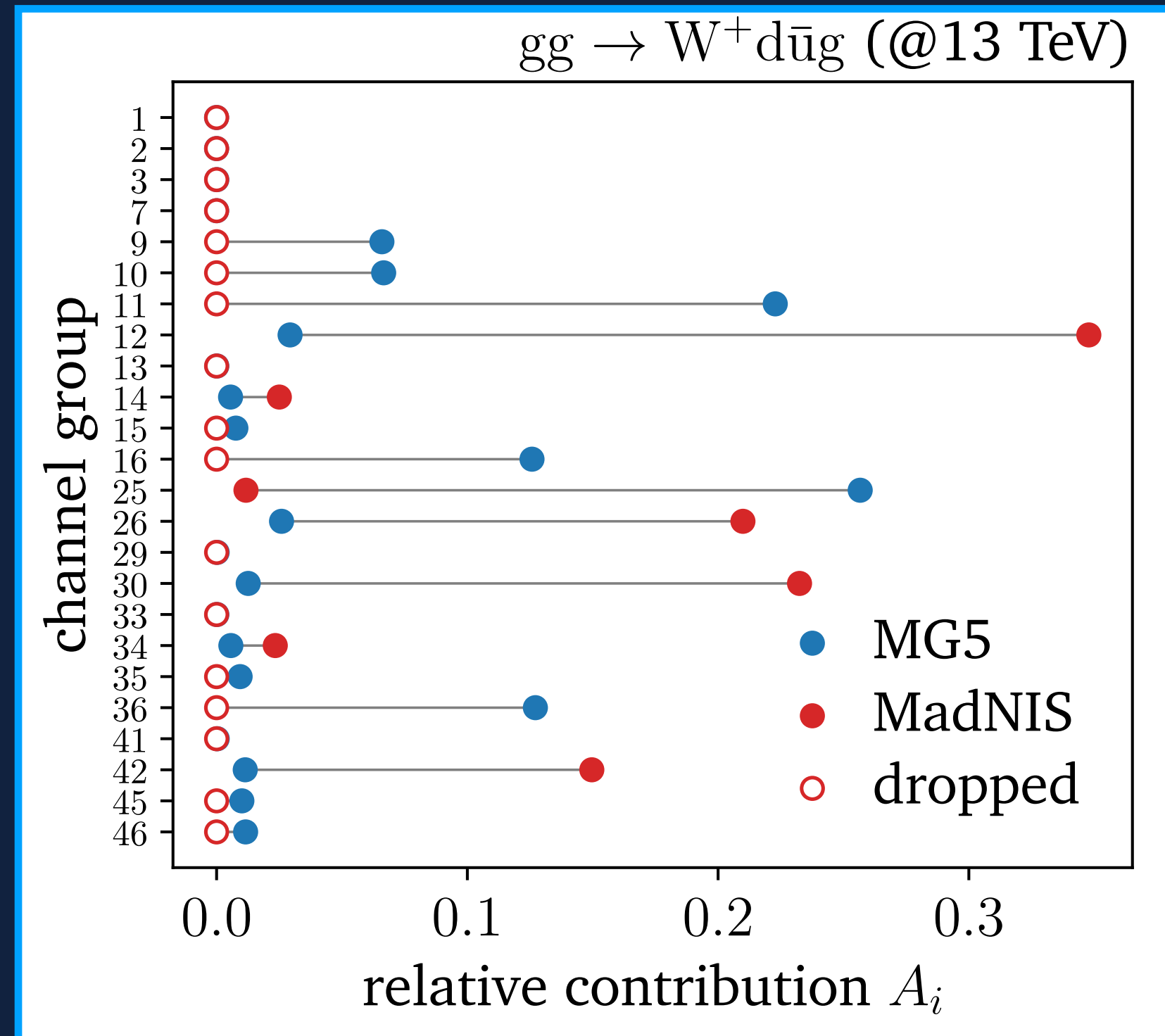
1. excellent results with all improvements
2. same performance with buffered training

LHC processes



1. excellent results with all improvements
2. same performance with buffered training
3. Larger improvements for processes with large interference terms

Learned channel weights



In MadNIS many channels **are zero**

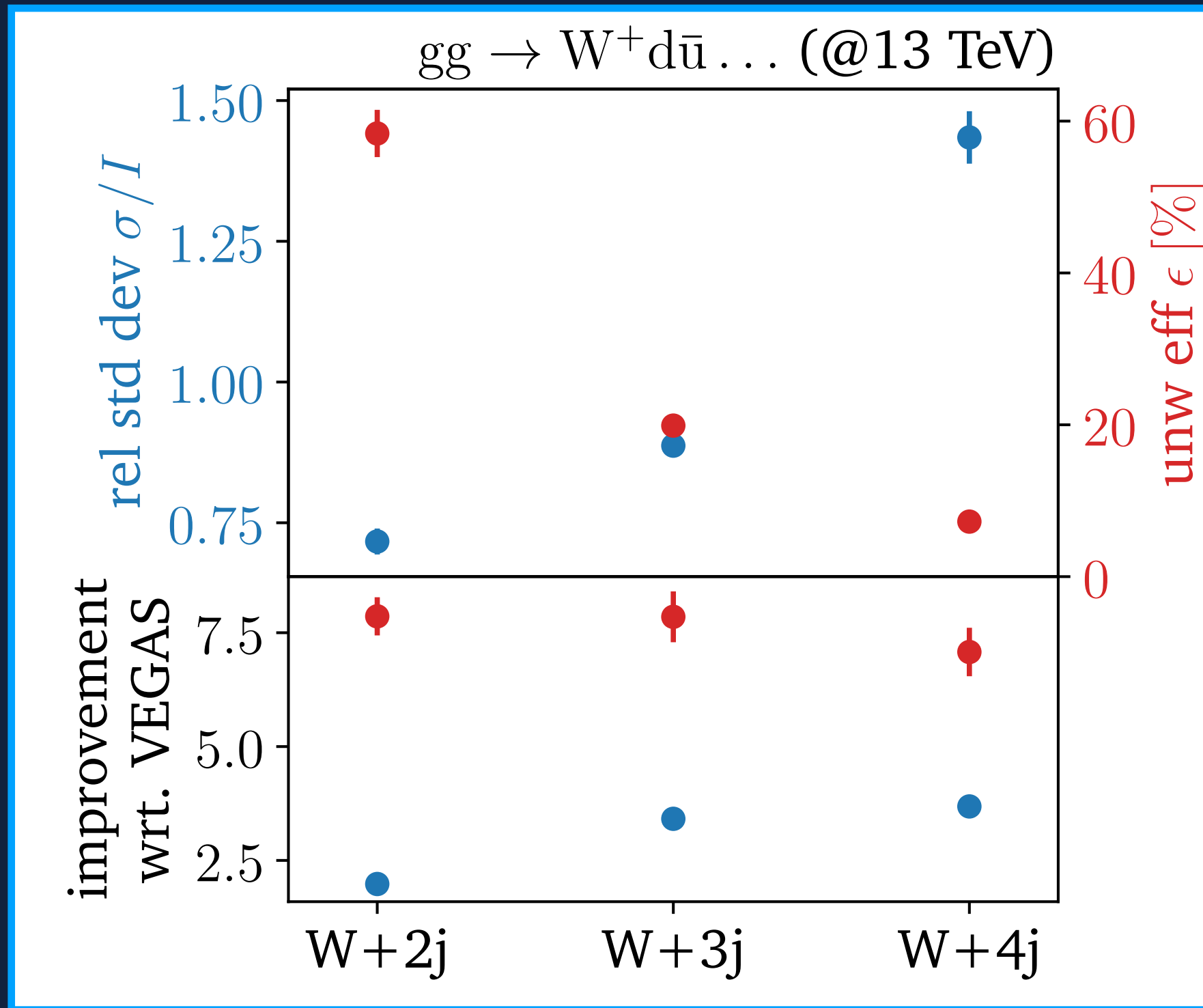


droppig channels

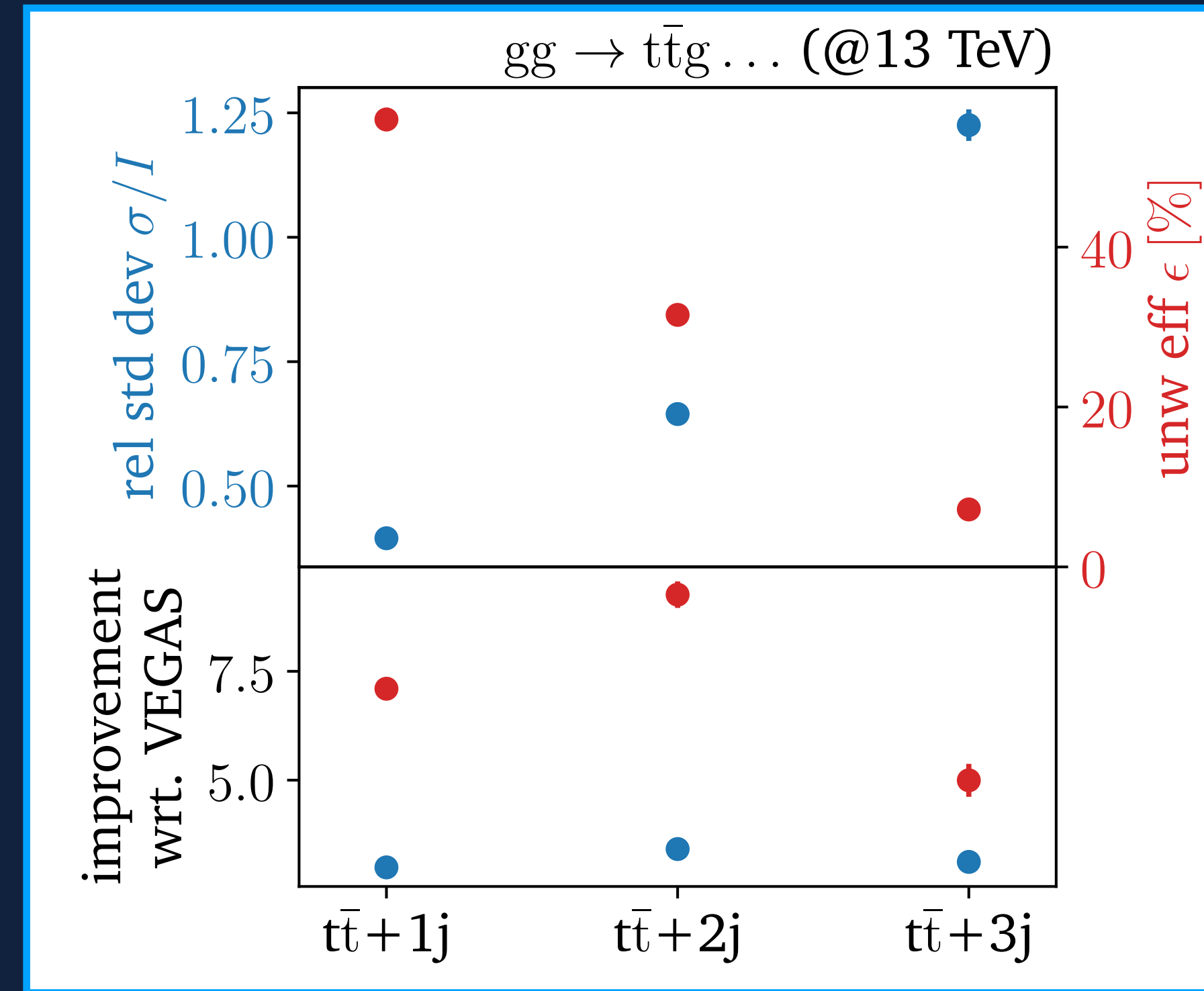


more efficient training and event generation

Scaling with multiplicity



gg \rightarrow $W^+ d \bar{u} g g$
384 channels, 108 symm.
7x better than VEGAS



gg \rightarrow $t \bar{t} g g g$
945 channels, 119 symm.
5x better than VEGAS

Large improvements compared to VEGAS even for high multiplicities and many channels!

The MadNIS Reloaded

Large improvements, even for
high multiplicities and
complicated processes!



[2311.01548]

Future plans

Make MadNIS part of next
MadGraph version



Outlook



A Living Review of Machine Learning for Particle Physics

Modern machine learning techniques, including deep learning, is rapidly being applied, adapted, and developed for high energy physics. The goal of this document is to provide a nearly comprehensive list of citations for those developing and applying these approaches to experimental, phenomenological, or theoretical analyses. As a living document, it will be updated as often as possible to incorporate the latest developments. A list of proper (unchanging) reviews can be found within. Papers are grouped into a small set of topics to be as useful as possible. Suggestions are most welcome.

download review GitHub

Expand all sections Collapse all sections

Reviews

- Modern reviews
- Specialized reviews
- Classical papers
- Datasets

Table of contents

- Reviews
 - Modern reviews
 - Specialized reviews
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 - Parameterized classifiers
 - Representations
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 - Fast inference / deployment
- Regression
 - Pileup
 - Calibration
 - Recasting
 - Matrix elements
 - Parameter estimation
 - Parton Distribution Functions (and related)
 - Lattice Gauge Theory
 - Function Approximation
 - Symbolic Regression
- Equivariant networks.

HEPML



Backup

Appendix

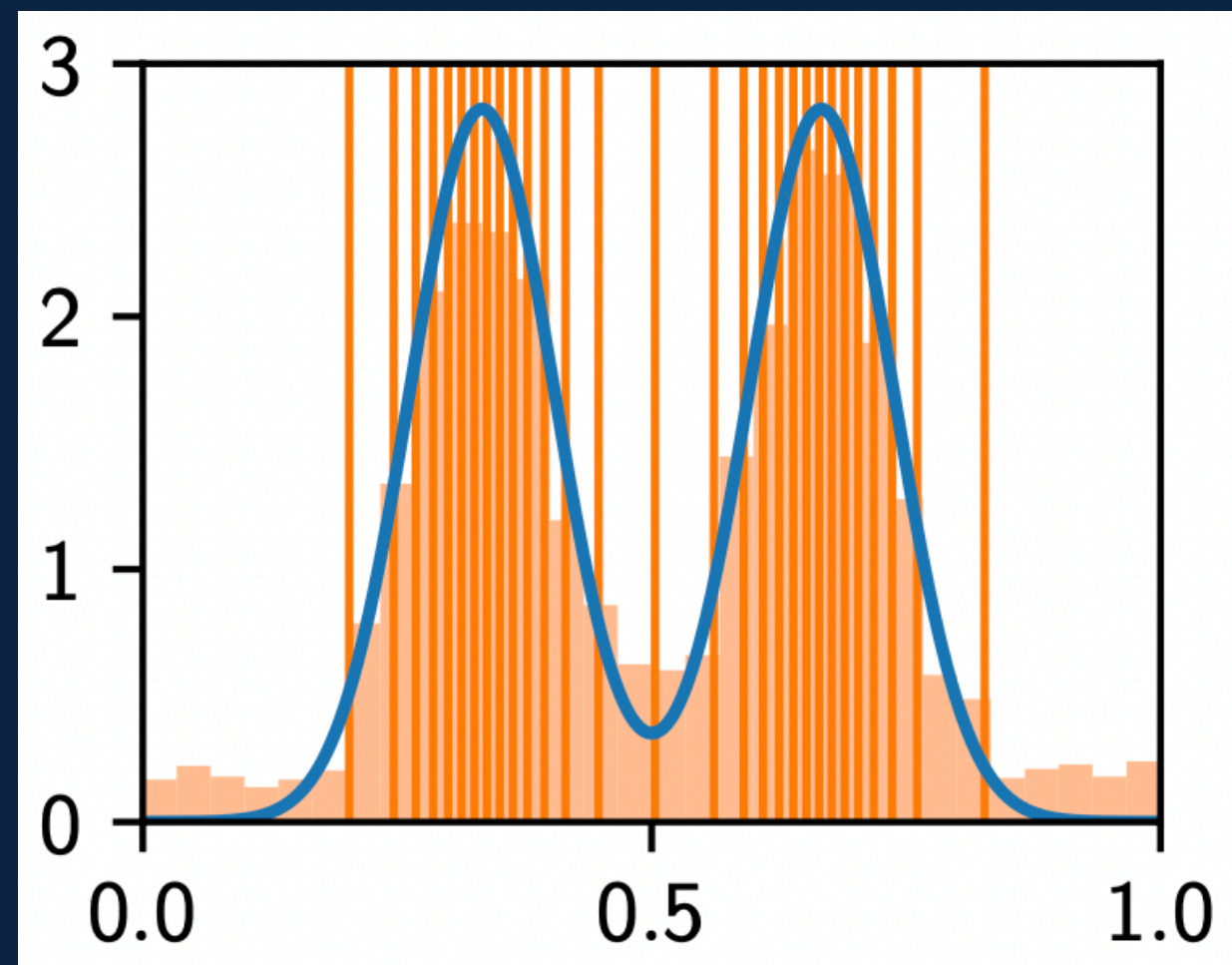
Importance sampling — VEGAS

Factorize probability

$$p(x) = p(x_1) \cdots p(x_n)$$



Fit bins with equal probability
and varying width



- ⊕ Computationally cheap
- ⊖ High-dim and rich peaking functions
→ **slow convergence**
- ⊖ Peaks not aligned with grid axes
→ **phantom peaks**

