

# High-energy pp interactions from “hard” to “soft”

- “QCD” Pomeron ~ parton cascade ~ small transverse size
- It is natural object to extend into soft domain
- importance of eikonal & enhanced multi-Pomeron contrib<sup>ns</sup>
- probes of this formalism for multiparticle prod. at LHC
  - Bose-Einstein correlations
  - minijets & correlations
  - large rap gaps
- ridge effect

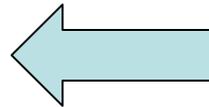
Alan Martin (IPPP, Durham)  
with Misha Ryskin, Valery Khoze  
Low x meeting, June 2011,  
Santiago de Compostela, Spain

# High-energy pp interactions

soft

hard

Reggeon Field Theory  
with phenomenological  
soft Pomeron



pQCD  
partonic approach

smooth transition using  
QCD / “BFKL” / hard Pomeron

There exists only one Pomeron, which makes  
a smooth transition from the hard to the soft regime

see KMR “global” description of soft and semi-hard data and  
PDFs in terms of pQCD Pomeron EPJ **C71** (2011)

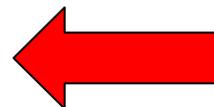
This is a partonic approach which includes the  $k_t$  dependence  
of the Pomeron in the  $\ln(1/x)$  evolution/cascade, as well as  
eikonal & enhanced multi-Pomeron absorptive effects.

# “Soft” and “Hard” Pomerons ?

A vacuum-exchange object drives soft HE interactions. Not a simple pole, but an enigmatic non-local object. Rising  $\sigma_{\text{tot}}$  means multi-Pom diags (with Regge cuts) are necessary to restore unitarity.  $\sigma_{\text{tot}}$ ,  $d\sigma_{\text{el}}/dt$  data, described, in a **limited energy range**, by eff. pole  $\alpha_{\text{P}}^{\text{eff}} = 1.08 + 0.25t$

Sum of ladders of Reggeized gluons with, in LLx BFKL, a singularity which is a cut and not a pole. When HO are included the intercept of the BFKL/hard Pomeron is  $\alpha_{\text{P}}^{\text{bare}}(0) \sim 1.3$   
 $\Delta = \alpha_{\text{P}}(0) - 1 \sim 0.3$

$\alpha_{\text{P}}^{\text{eff}} \sim 1.08 + 0.25 t$   
up to Tevatron energies

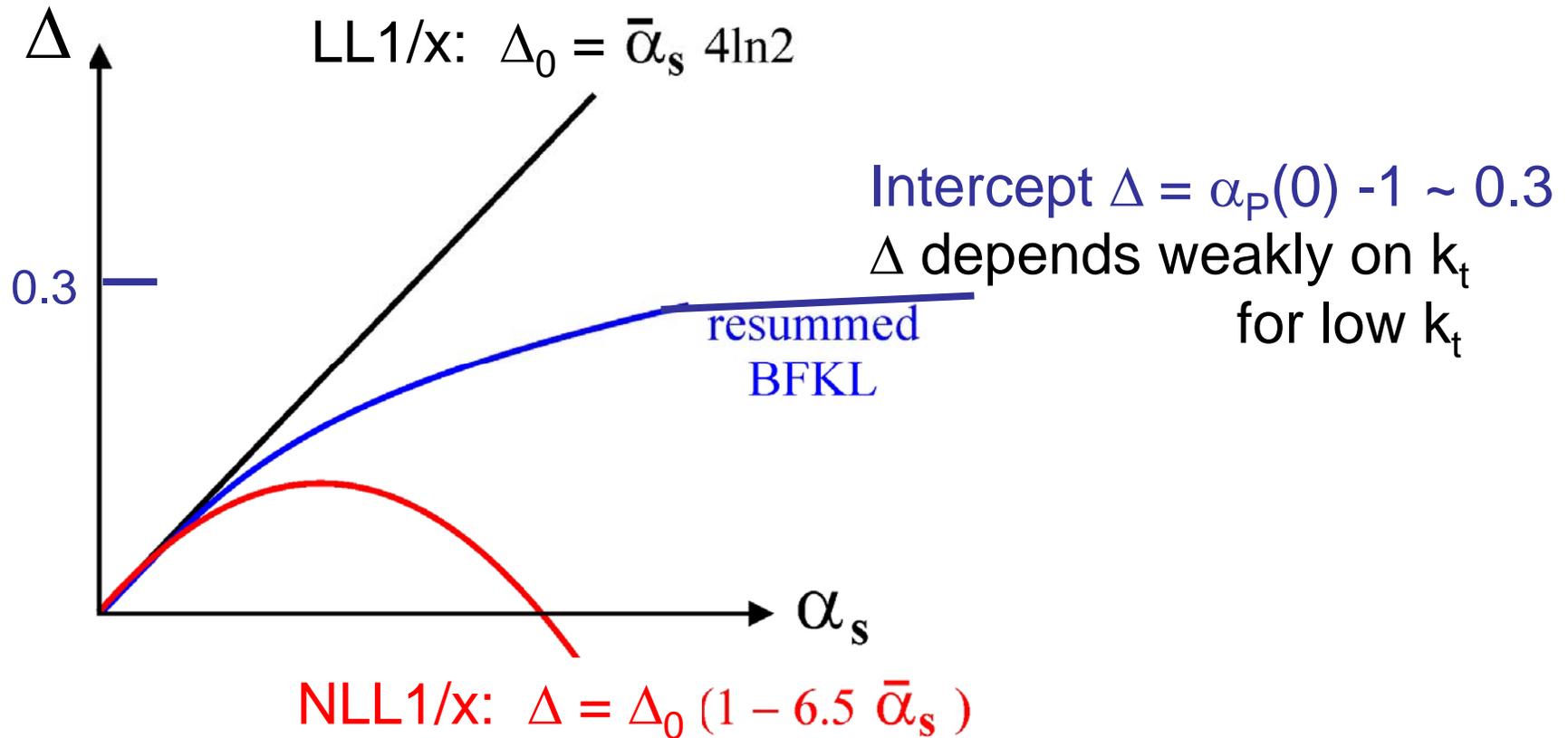


with absorptive  
(multi-Pomeron) effects

$\alpha_{\text{P}}^{\text{bare}} \sim 1.3 + 0 t$

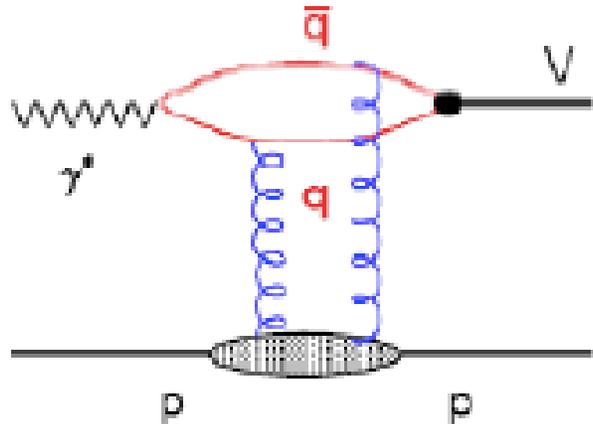
**BFKL stabilized**

Ciafaloni, Colferai  
and Salam



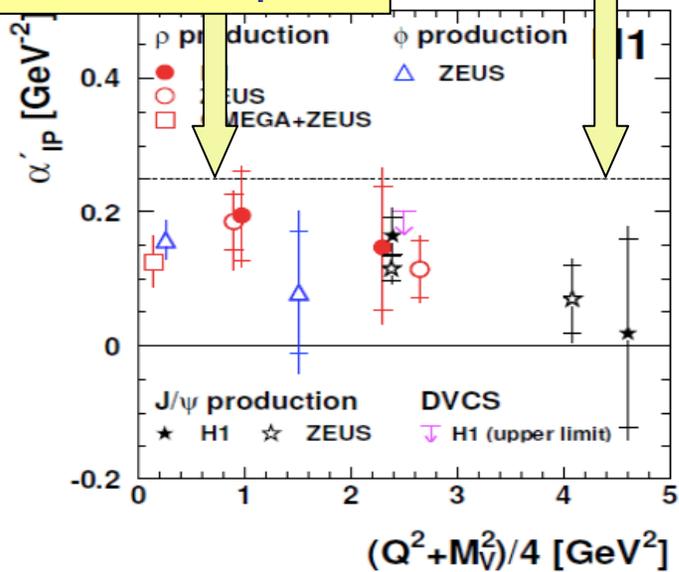
**Small-size “BFKL” Pomeron is natural object to continue from “hard” to “soft” domain**

Vector meson prod<sup>n</sup> at HERA  
 ~ bare QCD Pom. at high Q<sup>2</sup>  
 ~ no absorption

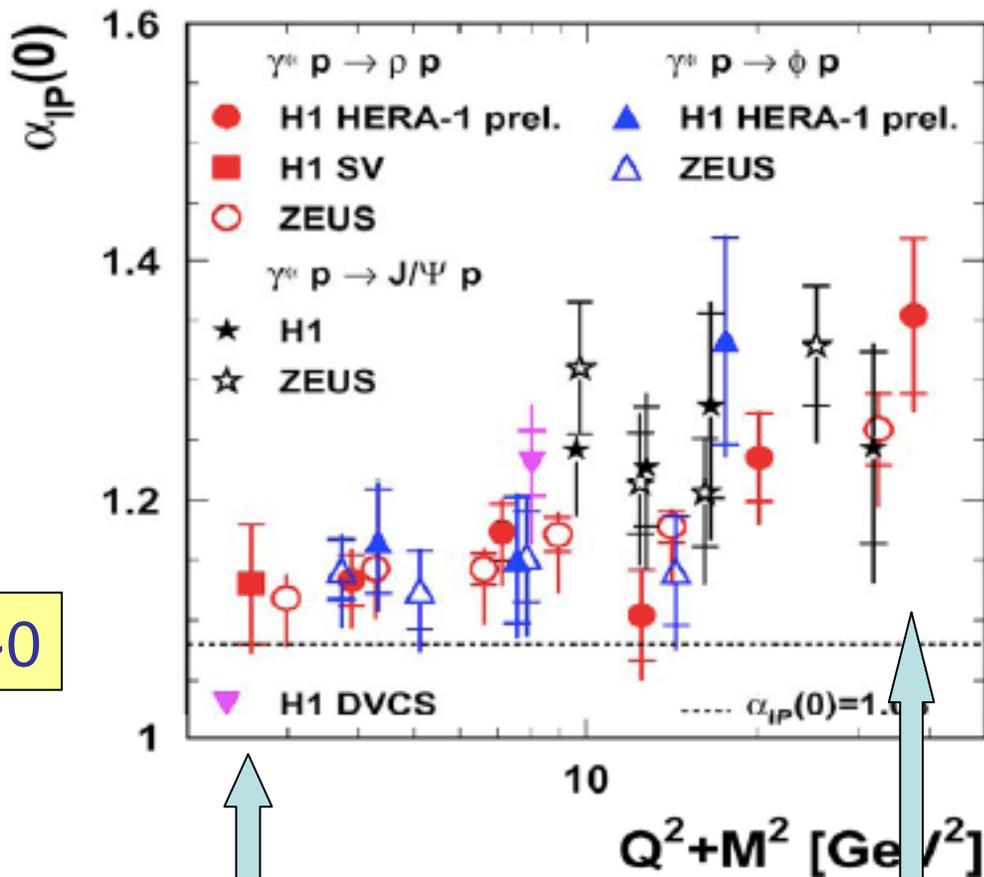


$\alpha'_P(0) \sim 0.25$   
 after absorption

$\alpha'_P{}^{\text{bare}}(0) \sim 0$



## hard energy dependences



$\alpha_P(0) \sim 1.1$   
 after absorption

$\alpha_P{}^{\text{bare}}(0) \sim 1.3$

Phenomenological hints that  $R_{\text{bare Pom}} \ll R_{\text{proton}}$

small slope  $\alpha'_{\text{bare}} \sim 0$

success of Additive QM

small size of triple-Pomeron vertex

small size of BEC at low  $N_{\text{ch}}$

Pomeron is a parton cascade which develops in  $\ln(1/x)$  space, and which is not strongly ordered in  $k_t$ .

However, above evidence indicates

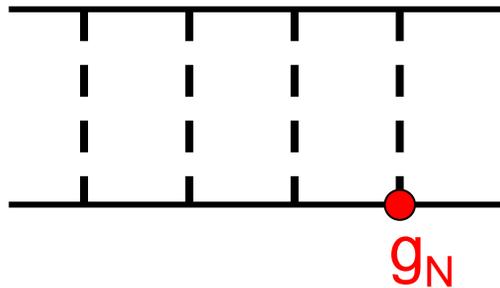
the cascade is compact in  $b$  space and so the parton  $k_t$ 's are not too low. We may regard the cascade as a **hot spot** inside the two colliding protons

The diagram shows a Pomeron propagator on the left, represented by two vertical lines connected by horizontal lines at the top and bottom. This is equal to the square of a Pomeron vertex on the right. The vertex is a horizontal line with four vertical lines extending downwards, each of which branches into two more vertical lines, forming a tree-like structure. The entire right-hand side is enclosed in large vertical brackets with a superscript 2.

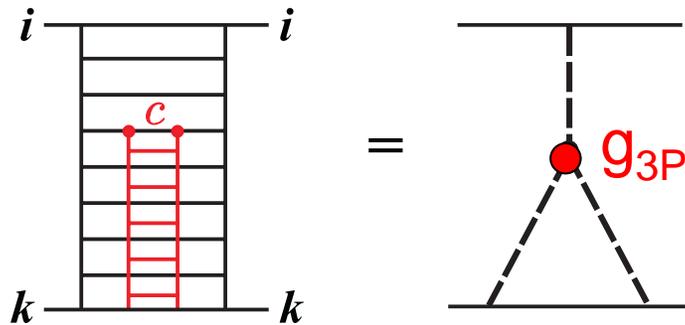


# Multi-Pomeron contributions

**eikonal:** Pomerons well separated in b-plane



**enhanced:** interactions with partons in an individual cascade



despite  $g_{3P} \sim 0.2 g_N$ ,  
enhanced by phase  
space, which grows  
with  $s$

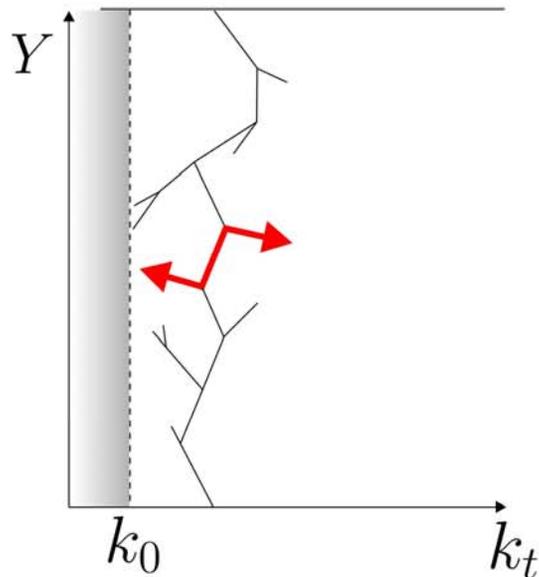
# LHC

DGLAP In  $k_t^2$  evol<sup>n</sup> interval  
 overestimates  $\langle k_t \rangle$   
 underestimates growth  $dN/d\eta$

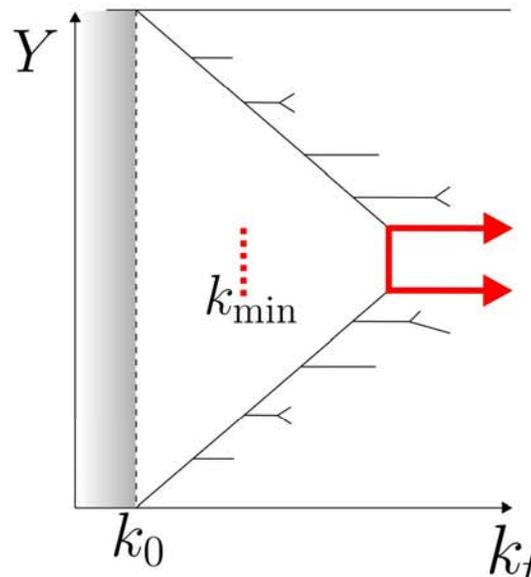
$\ll$

BFKL In(1/x) evol<sup>n</sup> interval  
 not strongly-ordered in  $k_t$   
 $dN/d\eta = n_P (dN_{1-Pom}/d\eta)$   
 $n_P = \text{no. of Poms. grows}$

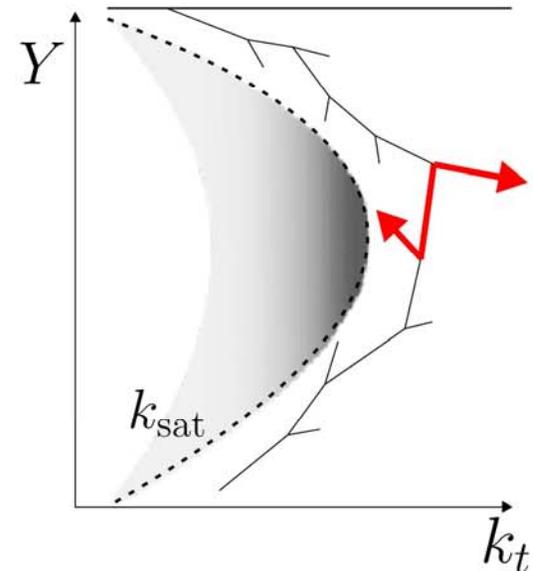
(a) single BFKL Pom.



(b) DGLAP-based MC



(c) BFKL (inc. enhanced)



$d\sigma_{\text{subp}}/dk_t^2 \sim 1/k_t^4$   
 $\rightarrow$  tune cutoff to data  
 $k_{\text{min}} \sim s^a, a=0.12$

**Enh:**  $\sigma_{\text{abs}} \sim 1/k_t^2$   
 $\rightarrow$  dyn. cutoff  $k_{\text{sat}}$   
 $\rightarrow$  besides SD, DD

## Main ingredients of formalism:

multi-Pomeron contributions arising from eikonal diagrams  
that is the presence of hot spots

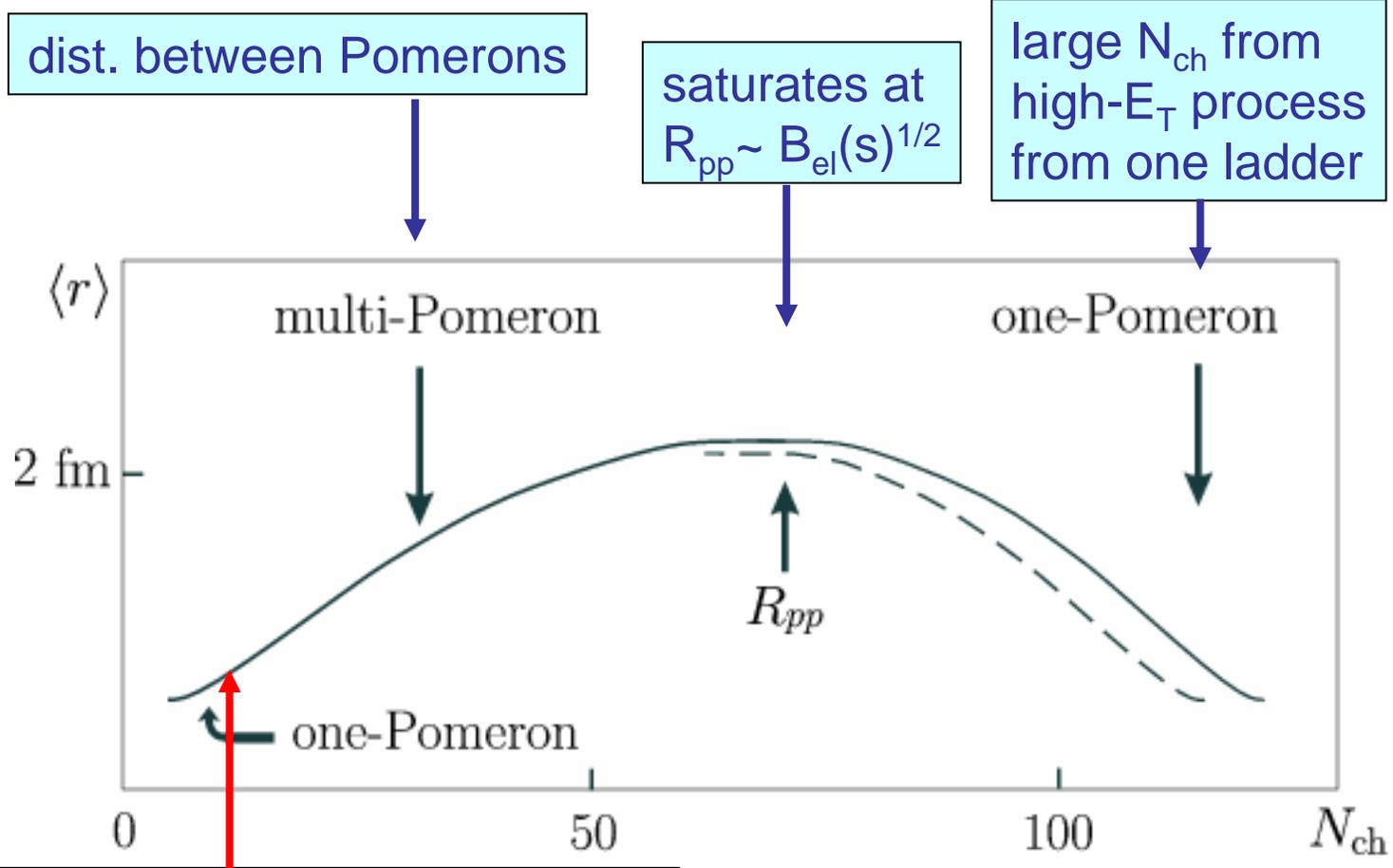
multi-Pomeron contributions arising from enhanced diagrams  
which give absorption of low  $k_t$  partons and introduce an  
effective cutoff  $k_{\text{sat}}$ , which increases with energy

the presence of minijets

due to cutoff,  $k_t > k_{\text{sat}}$ , the main inelastic process is minijet  
production

Probe of hot spots → Bose-Einstein correlations

identical pion correlations measure size of their emission region



size indep. of  $s$ —Pom. universal, but  $r > R_{Pom}$  due to hadroniz<sup>n</sup>

bkgd due to pions from resonances -- reduced for pions of larger  $k_t$

The LHC offers a wealth of opportunities to study of BEC with different kinematics:

Measure  $\langle r \rangle$  for pions with  $\eta > 1$  for high  $N_{ch}$  with  $\eta < -1$

$\langle r \rangle$  for events with a high  $E_T$  jet (or high  $p_t$  hadron)

$\langle r \rangle$  for events with large rapidity gap

$\langle r \rangle$  as a function of rapidity and/or  $p_t$  of pion pair

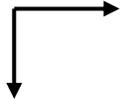
$\langle r \rangle$  for identical kaons ( $K_S^0$ )

## Probe of enhanced diagrams via minijets and correlations

Minijets with  $p_t > k_{\text{sat}}$  are main source of secondaries.  
Difficult to see minijets at LHC, but can be revealed by two-particle correlations:

$$R_2(p_1, p_2) = \frac{d^2 N / d^3 p_1 d^3 p_2}{(dN / d^3 p_1) (dN / d^3 p_2)} - 1$$

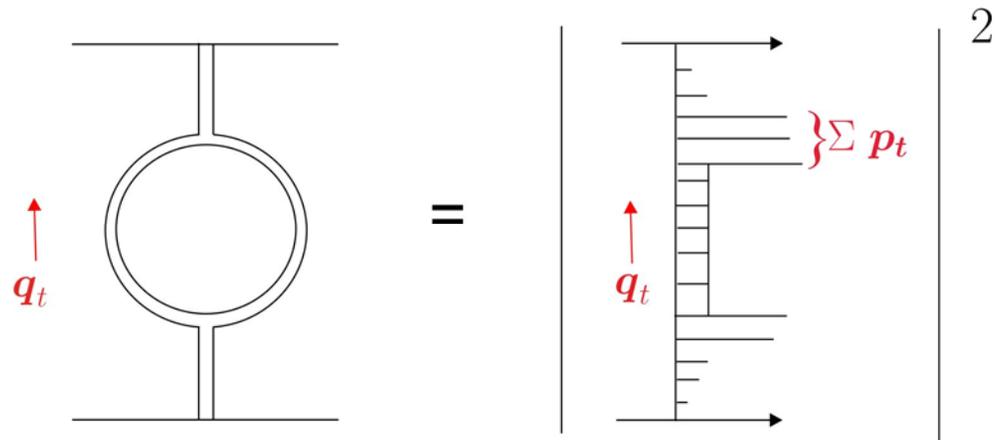
### Correlations due minijet production

-  strong peak in  $R_2 > 0$  of small width  $\delta\eta = |\eta_1 - \eta_2| \sim 1$
-  weaker peak in  $R_2 > 0$  of larger width  $\delta\eta \sim 2-3$   
from balancing minijets
-  almost nothing

Resonance bkgd --- nothing in back-to-back  
--- weaker at larger  $p_t$

# Probe of multi-Pomeron vertex via high-mass double-dissoc<sup>n</sup>

size of triple-Pomeron vertex is small, get large  $\langle p_t \rangle$  of secondaries near edge of LRG



Contrary to SD, where  $q_t$  across gap limited by proton ff, for DD,  $q_t$  is controlled by small size of 3-P vertex and can be large. Large  $\Sigma p_t \sim q_t$  would confirm small 3-P size

## Ridge effect – “long-range near-side angular correlations”

CMS: 
$$R = (\langle N_{\text{ch}} \rangle - 1) \left( \frac{d^2 N^{\text{signal}} / d^2 p_1 d^2 p_2}{d^2 N^{\text{mixed}} / d^2 p_1 d^2 p_2} - 1 \right).$$

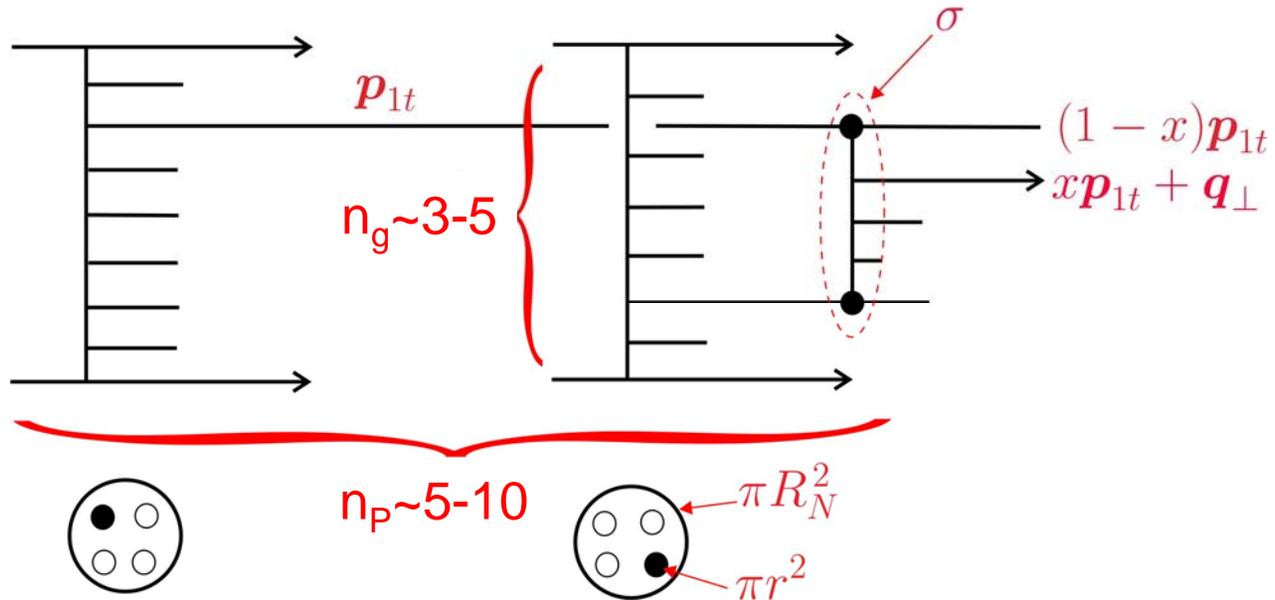
for  $N_{\text{ch}} > 110$  &  $p_t = 1-3$  GeV,  $R$  has peak at  $\Delta\phi=0$  of height  $\Delta R \sim 1-2$  in a wide region of  $\Delta\eta$

The relatively large  $p_t \rightarrow$  comes from **minijet**

The large  $N_{\text{ch}} \rightarrow$  **large** number,  $n_p$ , of Pomerons

Many studies – ridge due to additional interaction -- either formulated by hydrodynamic expansion or **Pomeron ladders**

Below we give a semi-quantitative estimate to show that the correlation, due to additional inter<sup>n</sup> with relatively high- $E_T$  minijet, is sufficient to give the observed ridge.



alignment  $x \sim \exp(-\Delta\eta) \sim 0.1-0.2$

Prob. of secondary inter<sup>n</sup>  
 $\omega = \sigma / \pi R_p^2 \sim 0.02 - 0.05$

$$R \sim (\langle N_{ch} \rangle - 1) x n_{parton} \omega$$

$n_{parton} = n_p n_g \sim 10-50$

$$\Delta R > 2$$

AA collisions enhanced by  $(A^{1/3})^2 \sim 35$  for Pb-Pb collisions

## Conclusions

Soft and semihard high-energy pp interactions described by **small-size QCD Pomeron (~parton cascade)**

**Multi-Pomeron** contributions essential

- (i) eikonal: needed to satisfy s-ch unitarity
- (ii) enhanced: provides dynamical  $k_t$  cutoff in cascade, as well as describing high-mass SD, DD

**Model**, tuned to describe soft high-energy pp data, **can**

- (i) predict rapidity gap survival probabilities
- (ii) predict PDFs and diffractive PDFs at lowish scales
- (iii) form basis of Monte Carlo for soft & hard interactions

Various probes of model at LHC were discussed