

Diffractive measurements in ATLAS

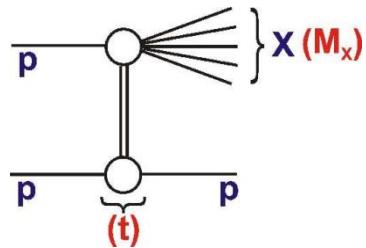
PER GRAFSTROM
CERN

ON BEHALF OF THE
ATLAS COLLABORATION

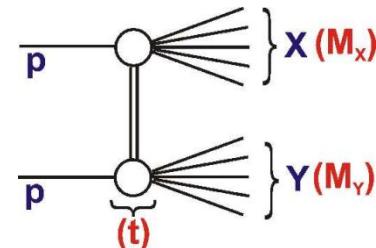
LOW-X MEETING

SANTIAGO DE COMPOSTELA
GALICIA, SPAIN
JUNE 3-7 2011

Immediate caveat



Single diffraction



Double diffraction

There is no unique way of defining diffraction

Theoretically:

Exchange of the quantum numbers of the vacuum
t-channel Pomeron exchange

Experimentally:

Large rapidity gaps and intact protons (Single Diffraction)

Mapping is not one to one

Not clear to what extent one can always
disentangle non-diffractive and diffractive processes !

More caveat

ATLAS central detector sensitive to high mass diffraction.
 $(|\eta| < 4.9 \Rightarrow M_x > 7 \text{ GeV})$

Is there a theoretically solid way to extrapolate from high mass diffraction to low mass diffraction ?

How many "mb" disappear in the beam pipe.... ?

Is there consensus in the theoretical community..... ?



May be there is a demon
in the beam pipe ?



Come back later on how to find out!

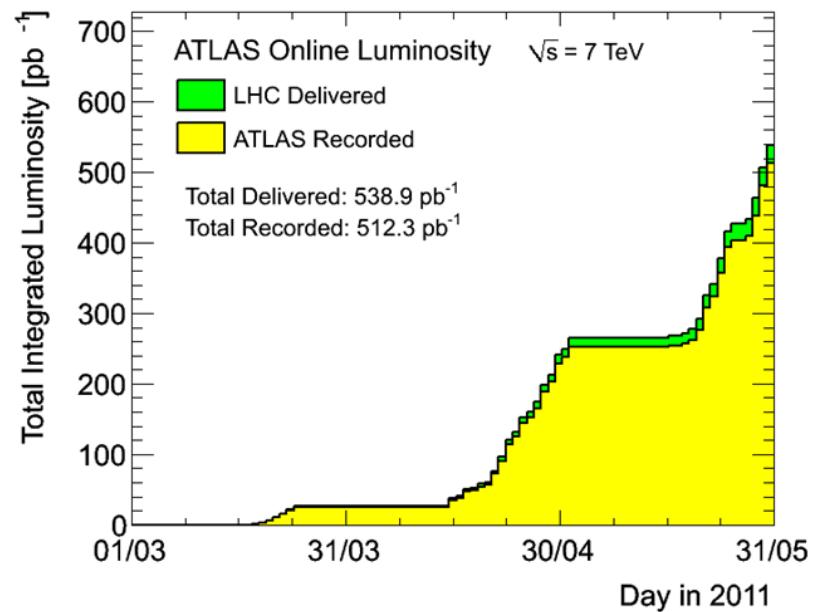
Two separate ATLAS studies will be reported today

- A first look at sensitivities to diffractive channels using a diffraction enhanced sample
(arXiv:1104.0326; CERN-PH-EP-2011-047)

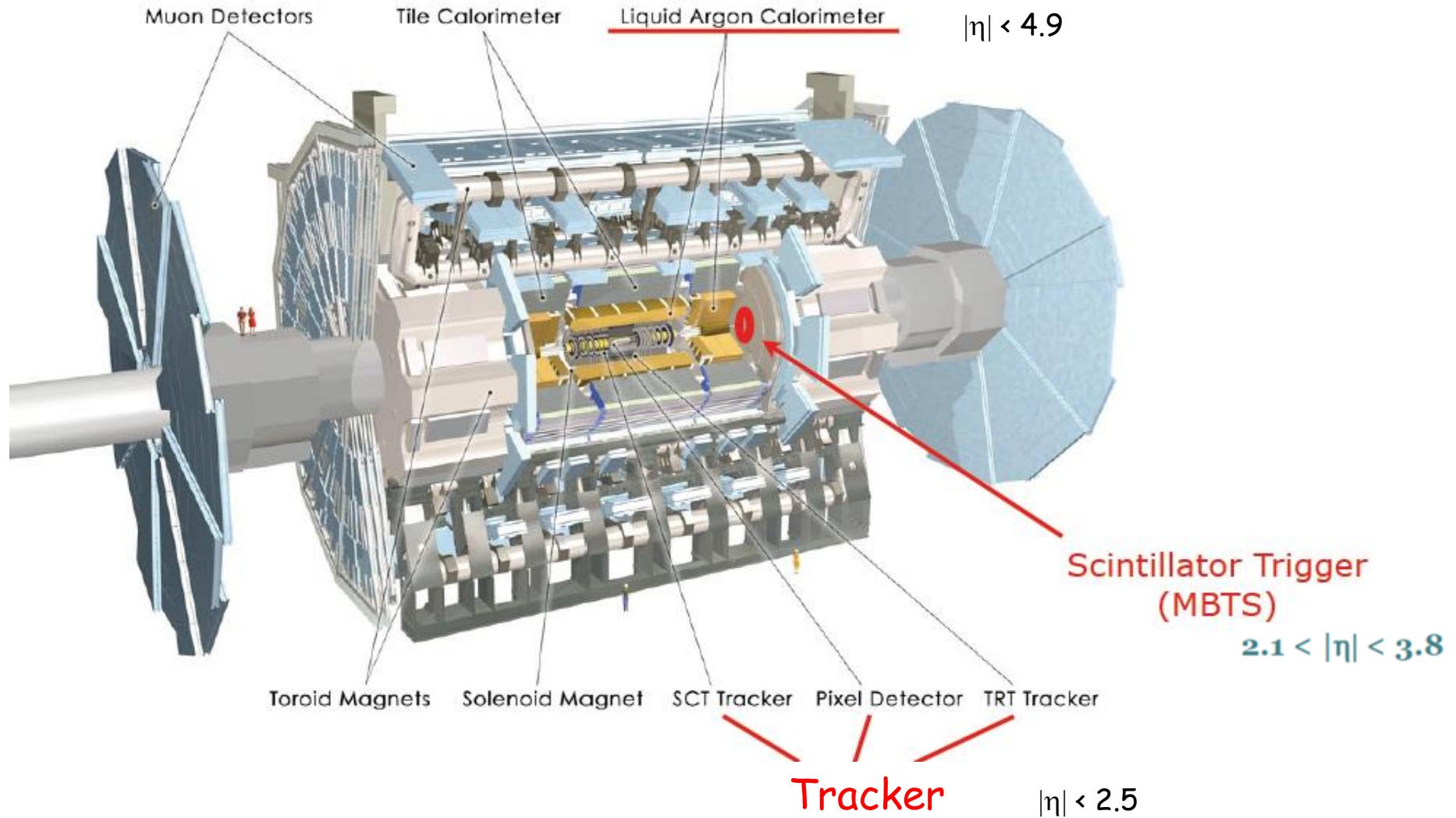
- Rapidity gap studies
(ATLAS-CONF-2011-059)

20.1 μb^{-1} and 7.1 μb^{-1}

Important: no pile up

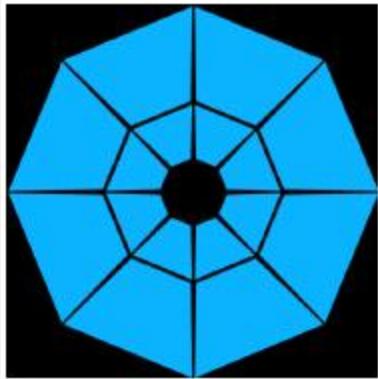


The ATLAS Detector

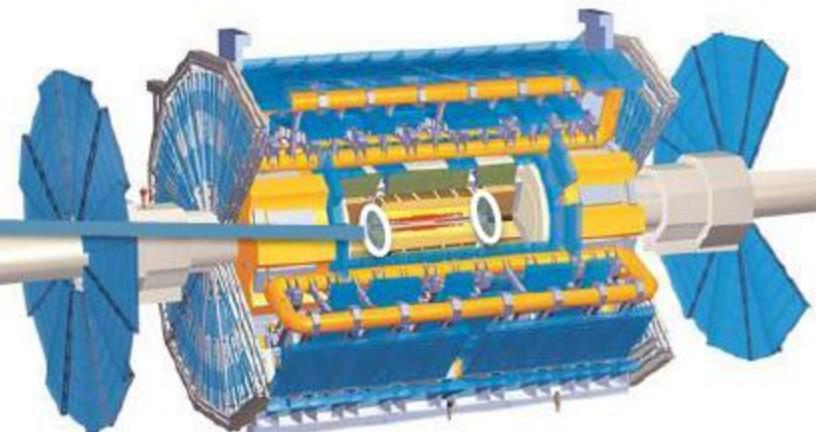


More about the MBTS

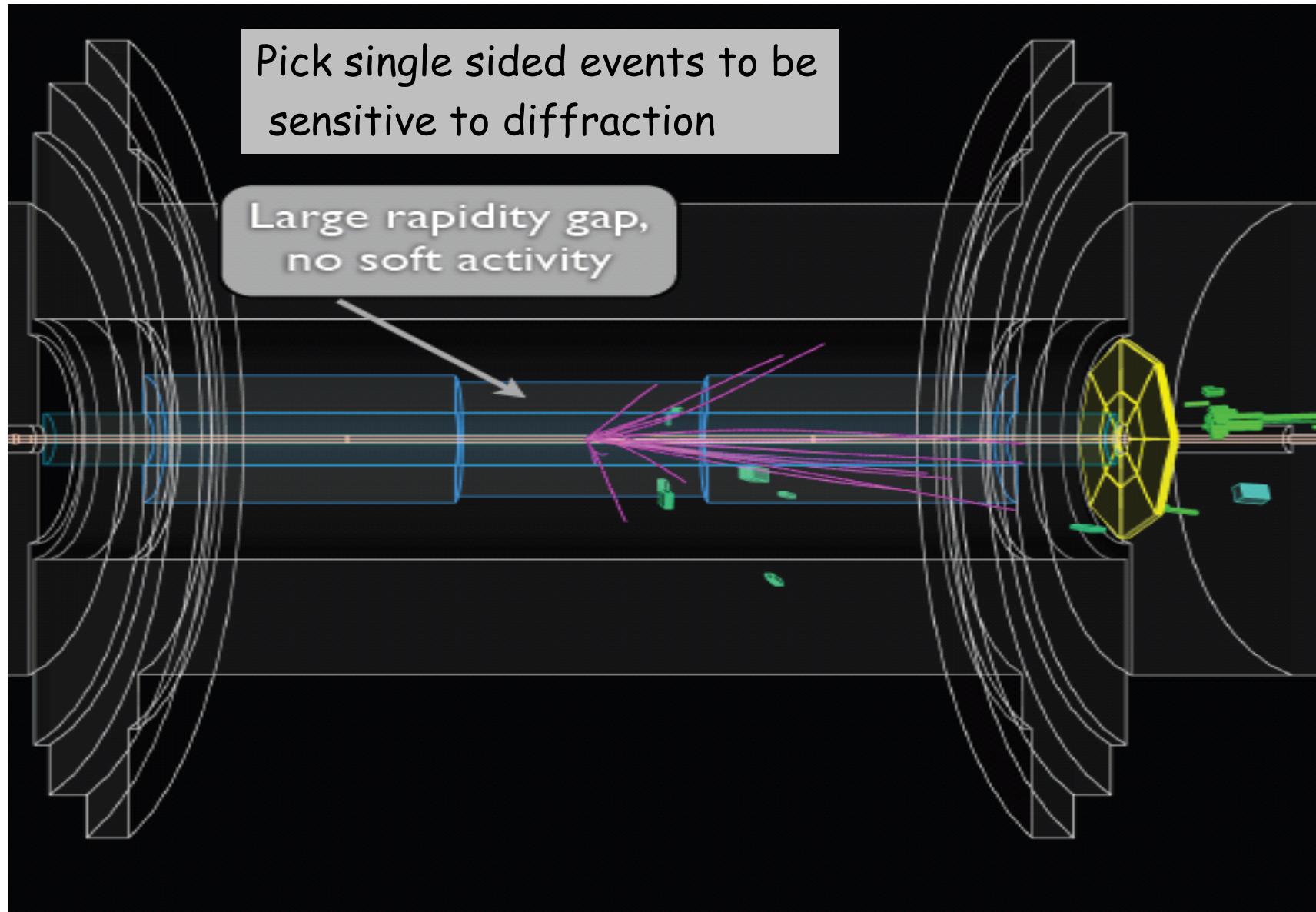
MBTS Trigger



- Segmented into **16 counters on each side**.
- Plastic scintillator planes connected to photomultiplier tubes via wavelength shifting fiber.
- Highly efficient trigger on charged particles.
- Generally trigger on the **Inclusive Or** of both sides.
- **MBTS** is **the primary** Minimum Bias trigger.
 - $2.1 < |\eta| < 3.8$



Diffractive enhanced sample using MBTS



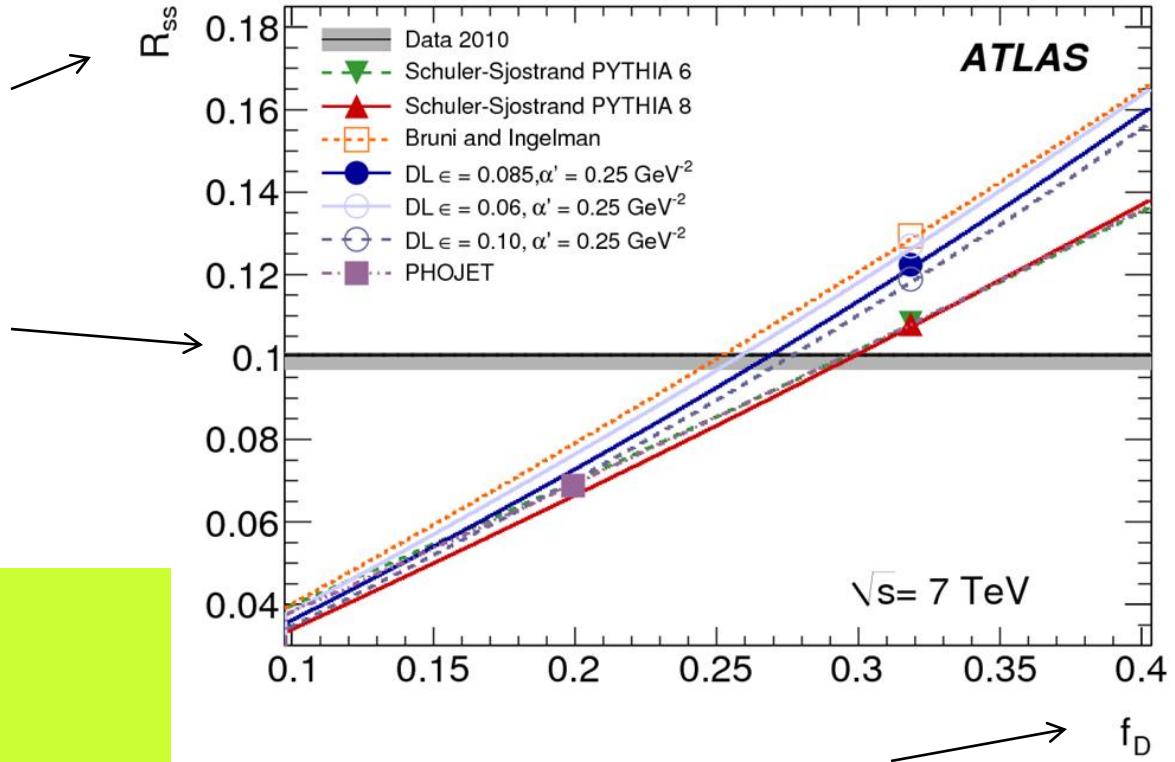
R_{ss} = ratio of single-sided to inclusive event sample

$$R_{ss} = 10.02 \pm 0.03 \text{ (stat.)} {}^{+1}_{-4} \text{ (syst.) \%}$$

Generator used :

1. PYTHIA6 and PYTHIA8
based on Schuler and
Sjöstrand model
2. PHOJET based on Dual Parton Model

In addition different ξ -dependence
in PYTHIA8 ($\xi = M_x^2/s$).



Fractional contribution of diffraction
to the inelastic cross section

More about all this in the talk by Sebastian Eckweiler: "Measurement of the Inelastic Proton-proton Cross Section at $\sqrt{s} = 7 \text{ TeV}$ with the ATLAS Detector"

Rapidity gap studies

Gap finding algorithm

Divide the detector **in rings** of $\Delta\eta$ and look for activity.

Activity in a ring is either:

- ≥ 1 track with $p_t > 200$ MeV ($|\eta| < 2.5$)
- ≥ 1 calorimeter cell above threshold ($|\eta| < 4.9$)

For MC optimization

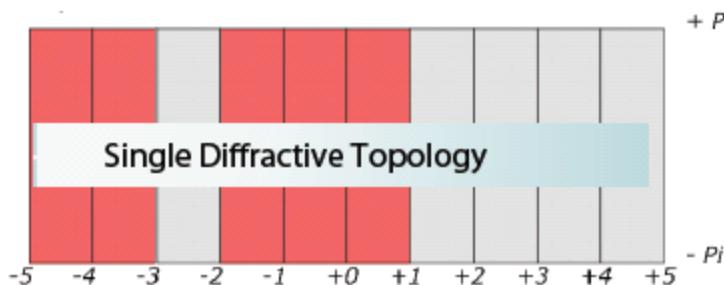


Two different $\Delta\eta$ definitions in the analysis:

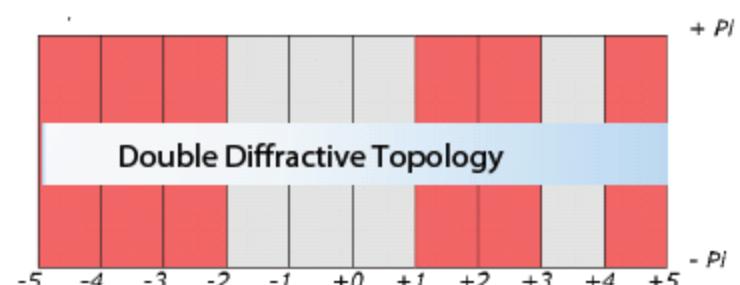
- **Floating gap:** Largest s consecutive set of empty rings parameterised by its size $\Delta\eta$ and start η_{start}

- **Forward gap:** Largest consecutive set of empty rings starting from the edge of the acceptance ($\eta = + - 4.9$) and size $\Delta\eta^F$

For cross section determination

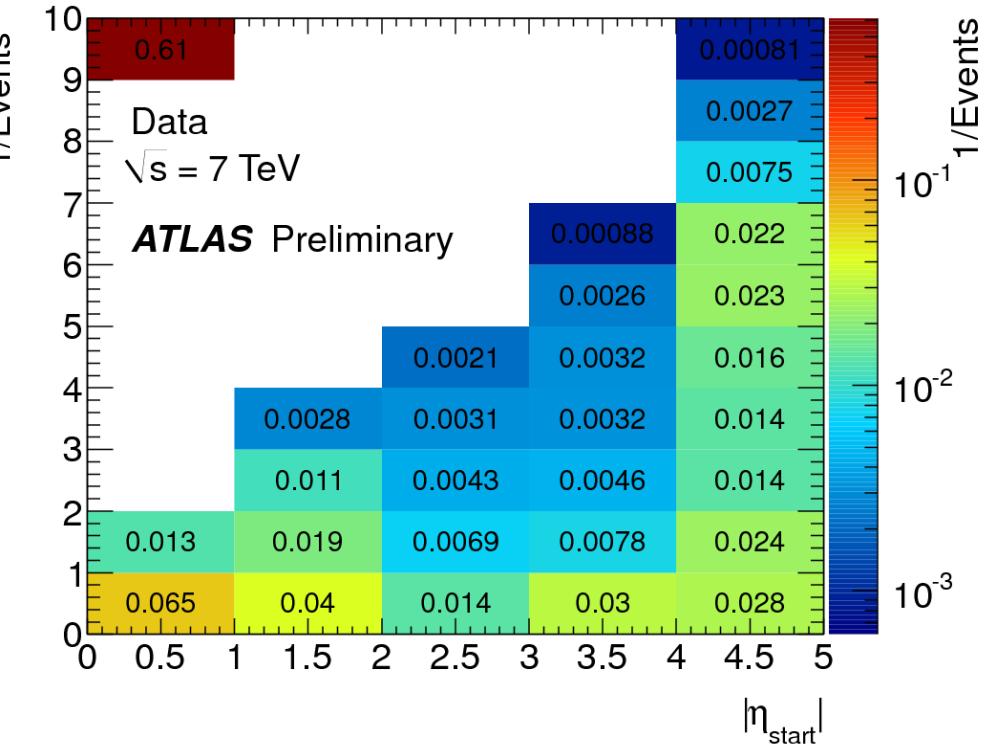
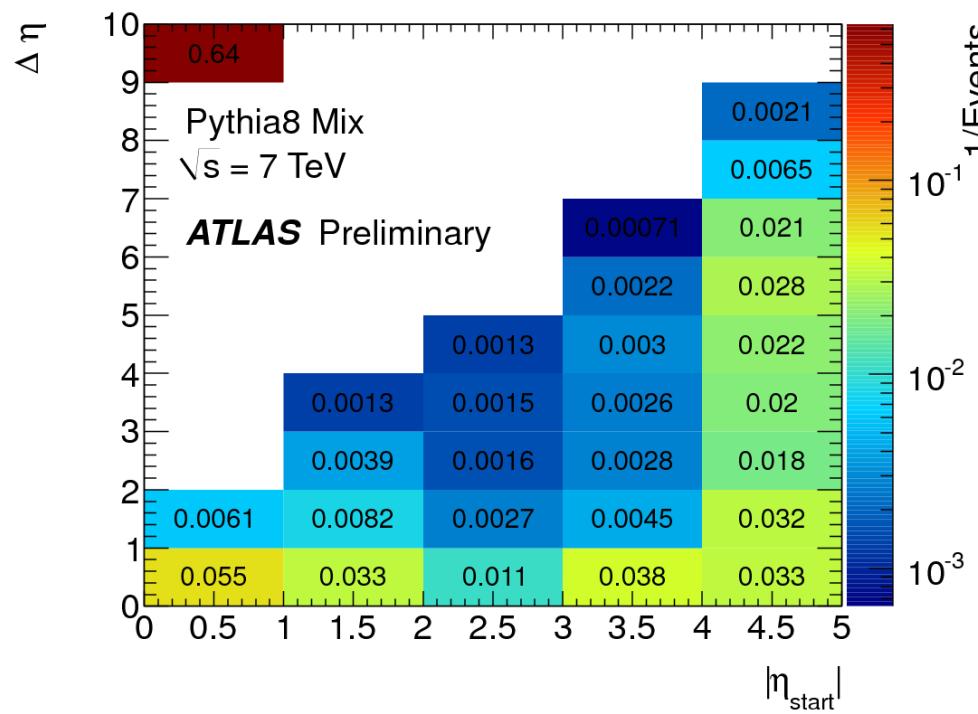


$\Delta\eta = 4$
 $\Delta\eta^F = 4$
 $\eta_{start} = 5$



$\Delta\eta = 3$
 $\Delta\eta^F = 0$
 $\eta_{start} = 2$

Compare MC with data

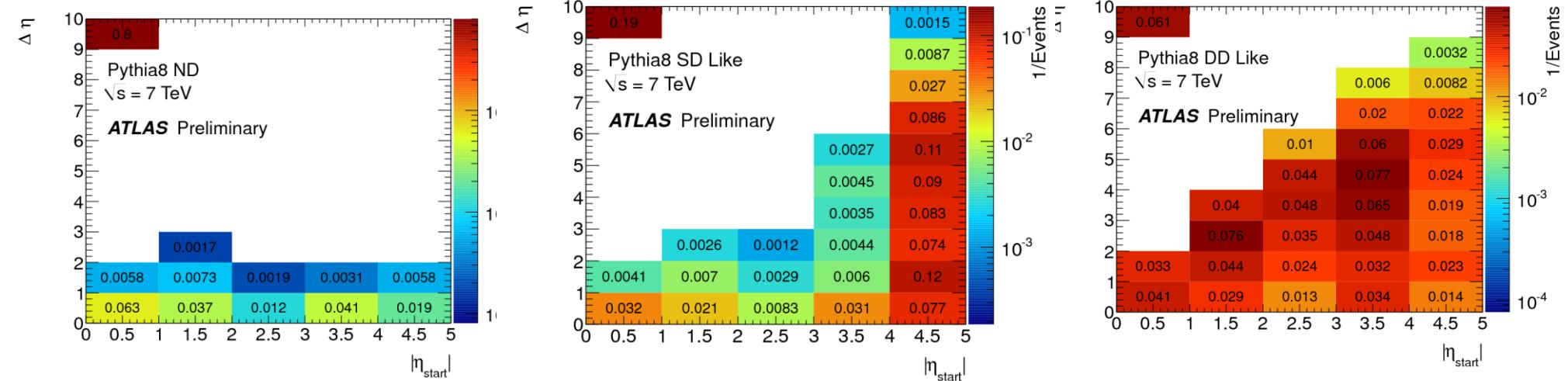


The generator here is PYTHIA8 with default mix of single , double diffraction and non diffractive events

In the same manner as we did for R_{ss} we can try to see if we get better agreement for a different mix....

Optimize the mix

Construct templates for non diffractive,
single diffraction -like and double diffraction -like .



Fit the fraction for each template to the data from a log-likelihood fit

Measured diffractive fraction (Pythia8)
 $f_D = 30.2 \pm 0.3 \text{ (stat)} \pm 3.8 \text{ (syst)} \%$

Several control distributions shows reasonable
agreement with MC using the optimized mix.
IMPORTANT for unfolding of the instrumental effects

Unfolding

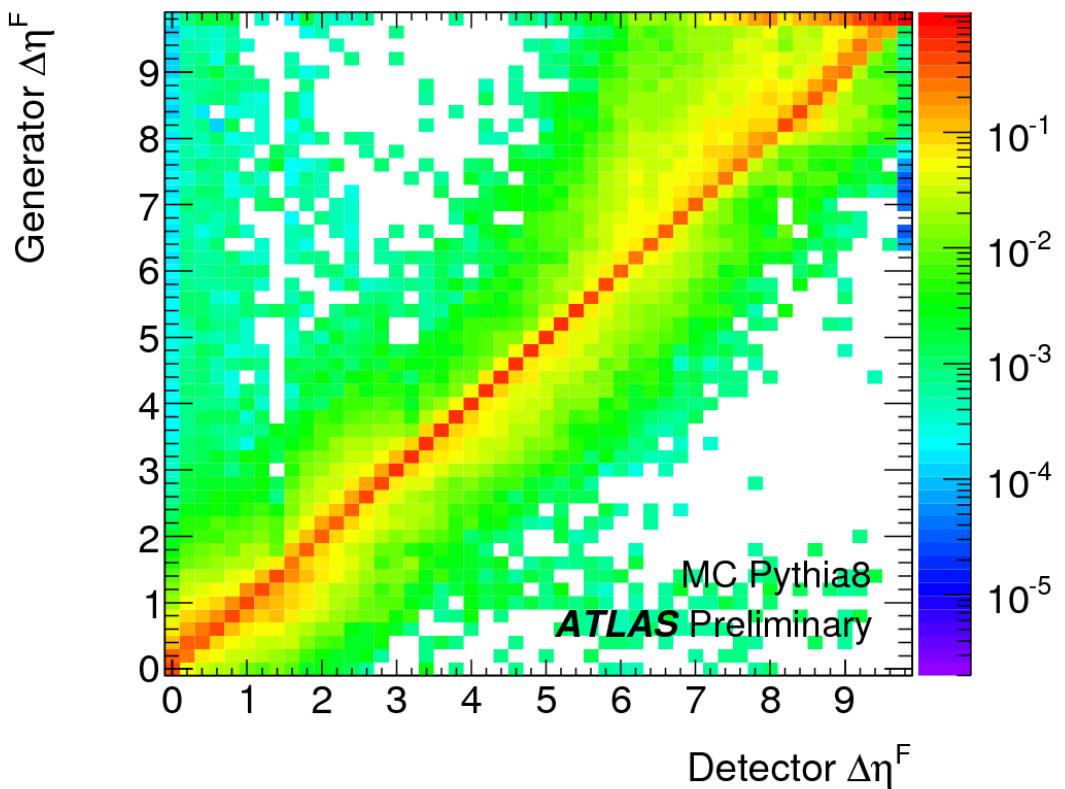
$$\frac{d\sigma(\Delta\eta^F)}{d\Delta\eta^F} = \frac{A(\Delta\eta^F)}{\Delta\eta_{\text{ring}}} \frac{N(\Delta\eta^F) - N_{\text{BG}}(\Delta\eta^F)}{\epsilon(\Delta\eta^F) \times \mathcal{L}}$$

Migration correction factor

Beam gas $\sim 0.2 \%$

$\Delta L \sim 3.4 \%$

$> 95 \%$

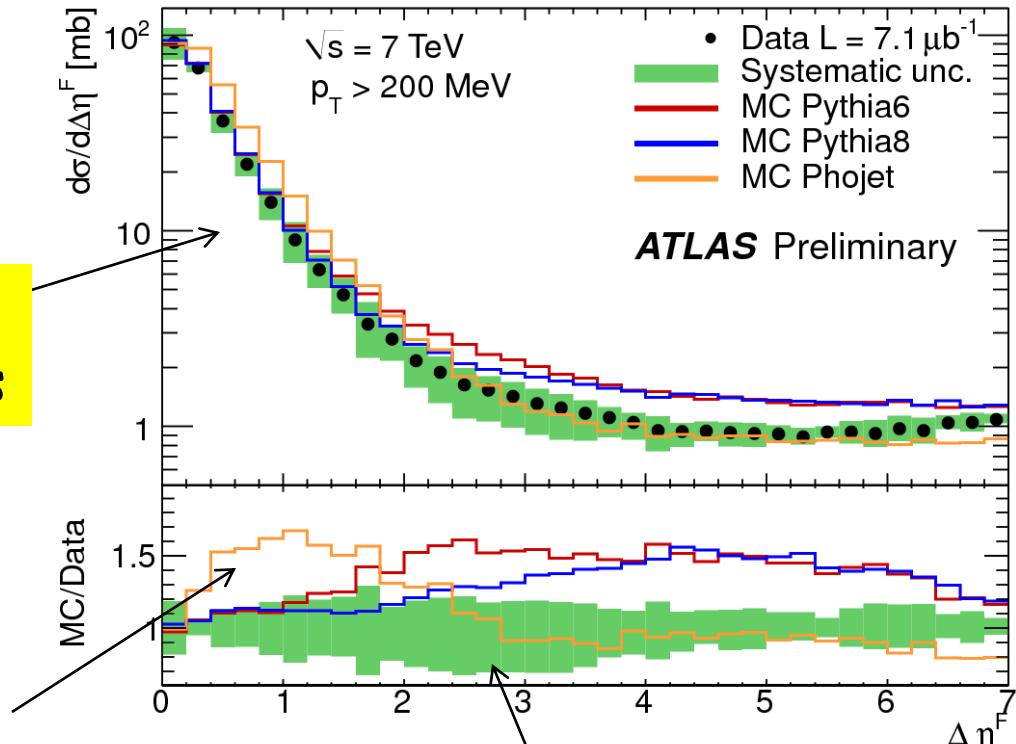


Migration matrix between the hadron and detector level for PYTHIA8.

Cross sections

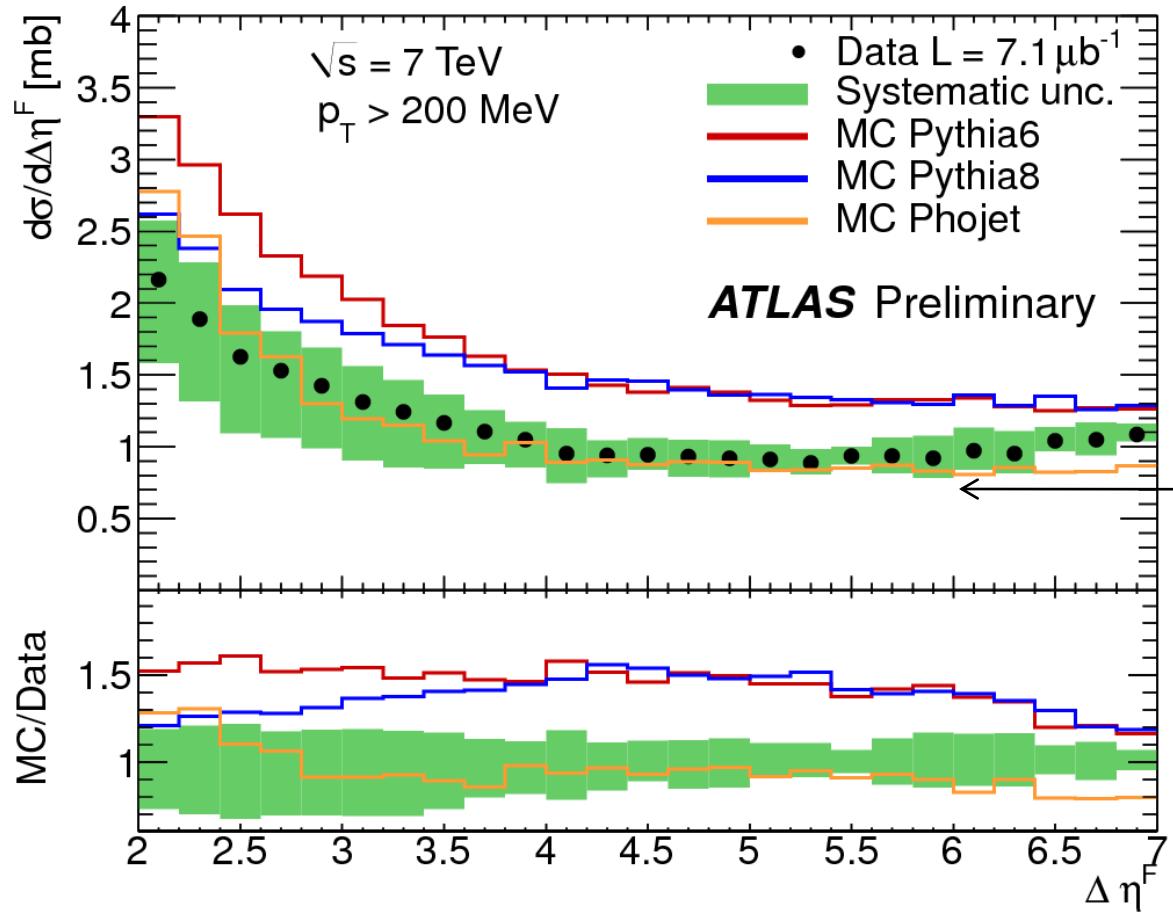
Expected exponential decrease for ND events

PHOJET 50 % excess



Data uncertainty typically $\sim 20\%$

Zoom in on large $\Delta\eta^F$



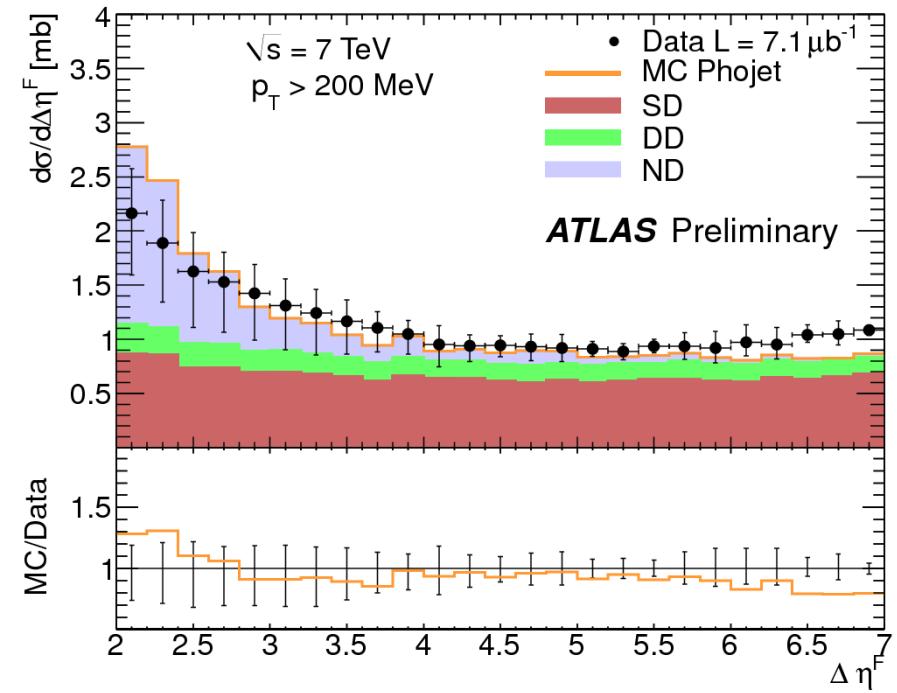
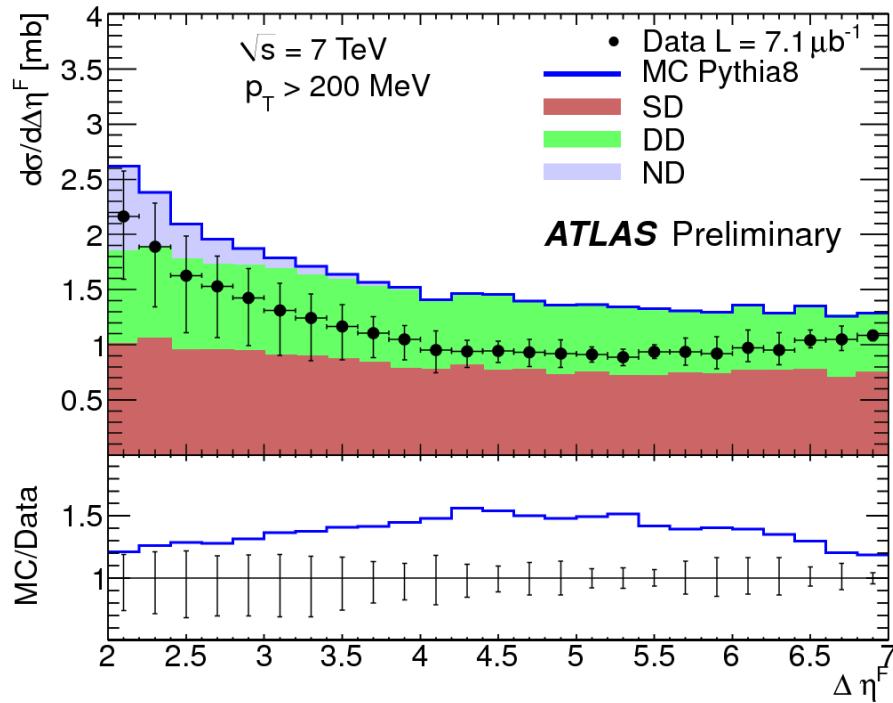
ND events supposed to
be negligible for $\Delta\eta^F > 3$

Plateau at large $\Delta\eta^F$

Roughly 1 mb per
unit of gap size

Flatness indicates
that the Pomeron
intercept close to 1.

Zoom in on large $\Delta\eta^F$ and SD/DD breakdown



The difference is in Double Diffraction

How to measure the « mb » hiding in the forward direction and in the beam pipe?

ATLAS has measured σ_{inel} for $\xi > 5 \cdot 10^{-6}$

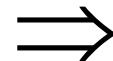
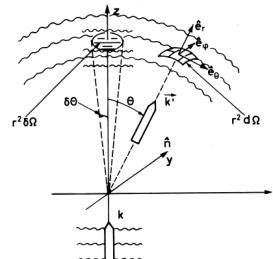
How to measure the remaining cross section
i.e. σ_{inel} for $\xi < 5 \cdot 10^{-6}$?



We need three ingredients !
see next slide

1

Optical theorem
 $\sigma_{\text{tot}} \propto \text{Im } f_{\text{el}}(t=0)$



The forward direction of elastic scattering is sensitive to all inelastic channels

(the very existence of scattering requires scattering in the forward direction in order to interfere with the incident wave, and thereby reduce the probability current in this direction)

2

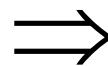
VDM scans



Luminosity to ~3 %

3

ATLAS Roman Pots: ALFA



a) σ_{el} from integrating $d\sigma_{\text{el}}/dt$

b) Extrapolation to $t=0$ i.e optical point

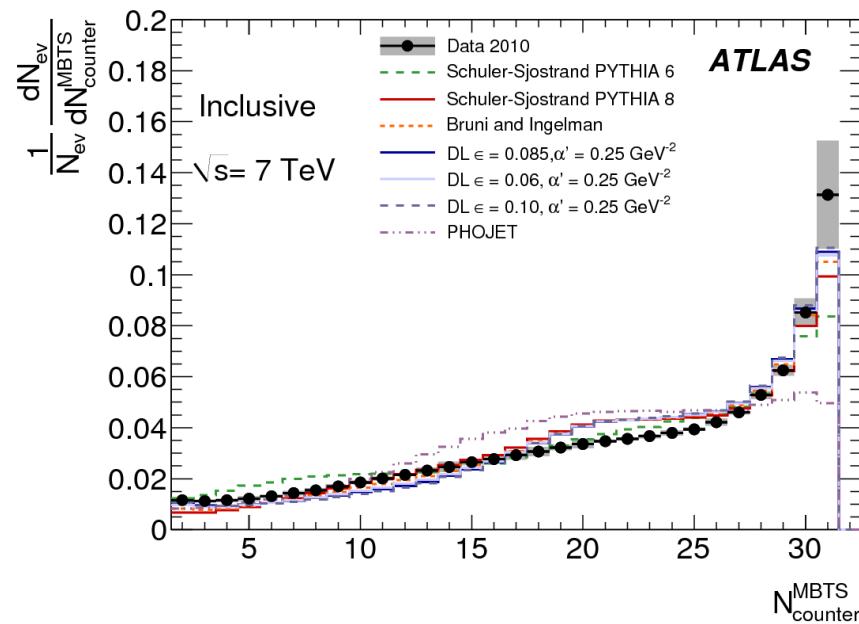
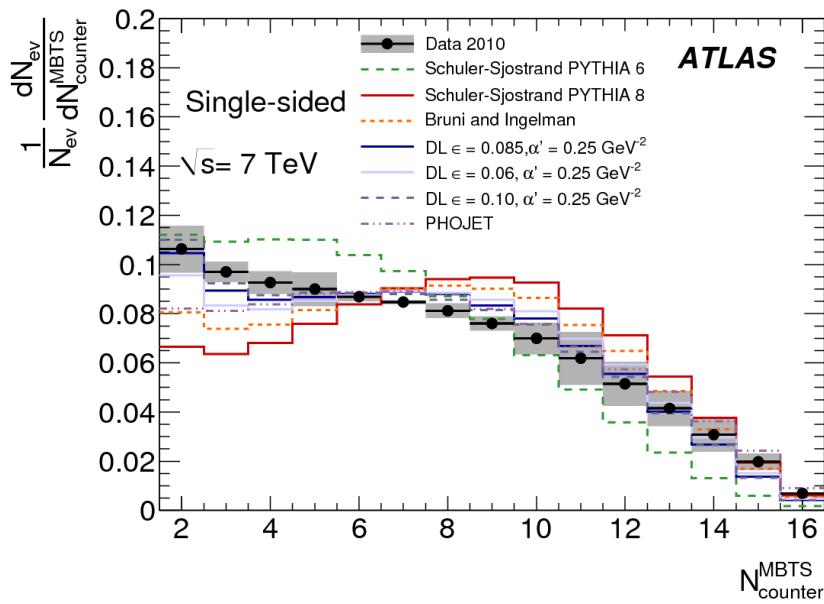
$$\sigma_{\text{inel}} (\xi < 5 \cdot 10^{-6}) = \sigma_{\text{tot}} - \sigma_{\text{el}} - \sigma_{\text{inel}} (\xi > 5 \cdot 10^{-6})$$

Conclusions

- An enhanced sample of diffractive events based on absence of activity on one side of the MBTS detector gives a fractional contribution to the inelastic cross section in the range 25% to 30% depending on which generator is used.
- Rapidity gap studies gives a diffractive fraction f_d
 $f_d = 30.2 \pm 0.3 \text{ (stat)} \pm 3.8 \text{ (syst)} \%$
- In both cases the PYTHIA8 generator describes better the non-diffractive part while PHOJET gives better agreement for the diffractive part
- Diffractive cross section $d\sigma/\Delta\eta^F \sim 1.0 \pm 0.2 \text{ mb per unit of } \Delta\eta^F$ for $\Delta\eta^F > 3.5$
- The ALFA detector will give more information on the small ξ part of the inelastic cross section

Back up

MBTS multiplicity for single sided and inclusive sample



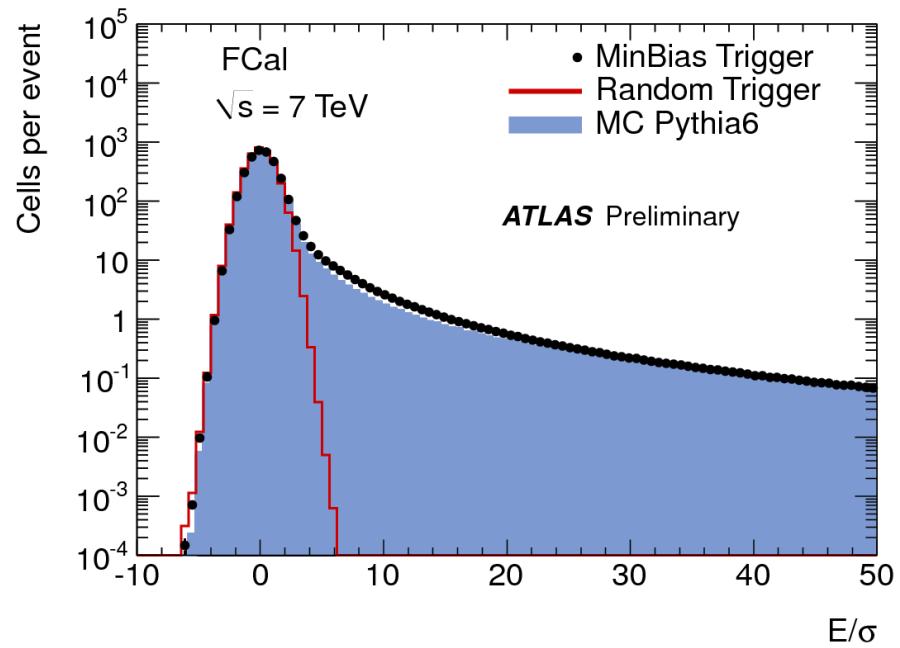
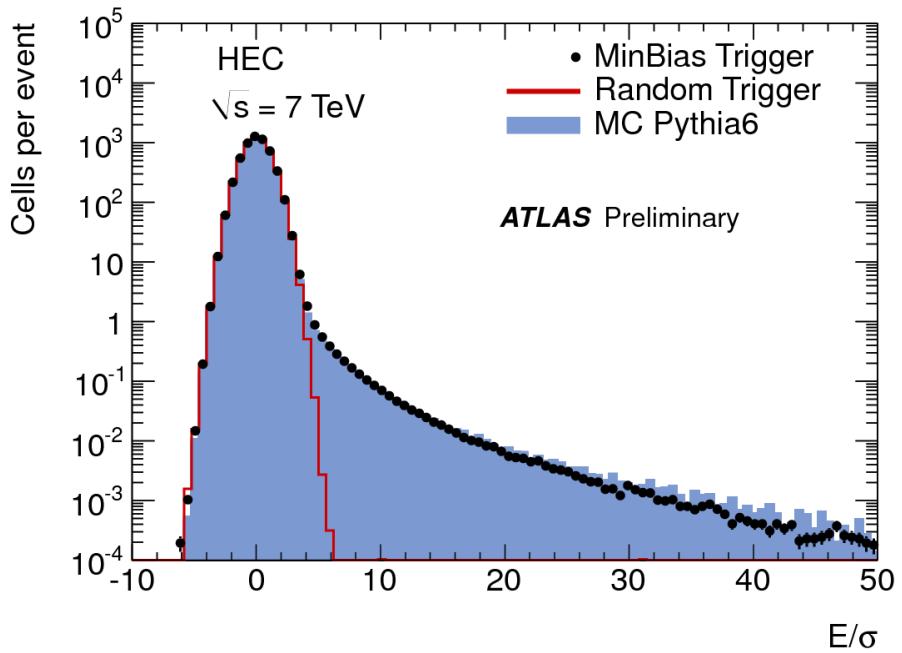
The different generators used the corresponding f_d values which agree with the R_{ss} data measured .

More about all this in the talk by Sebastian Eckweiler:

" Measurement of the Inelastic Proton-proton Cross Section at $\sqrt{s} = 7 \text{ TeV}$ with the ATLAS Detector"

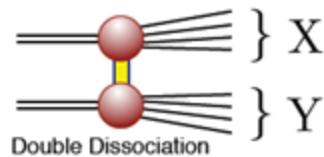
Understanding of noise

Compare MBTS triggers with random triggers triggered on empty bunches



Require $S = E/\sigma_{\text{noise}} > S_{\text{th}}$ with $S_{\text{th}} \sim 5$ (4.8-5.8 depending on η -ring)
One cell or more in one ring above threshold and the ring is not empty

Convenient reclassification of events



Use convention $M_y < M_x$

For events with $\xi_y = M_y^2/s < 10^{-6}$ the Y system is produced entirely outside the acceptance of the calorimeters (corresponds to $M_y < 7 \text{ GeV}$)

Reclassify events:

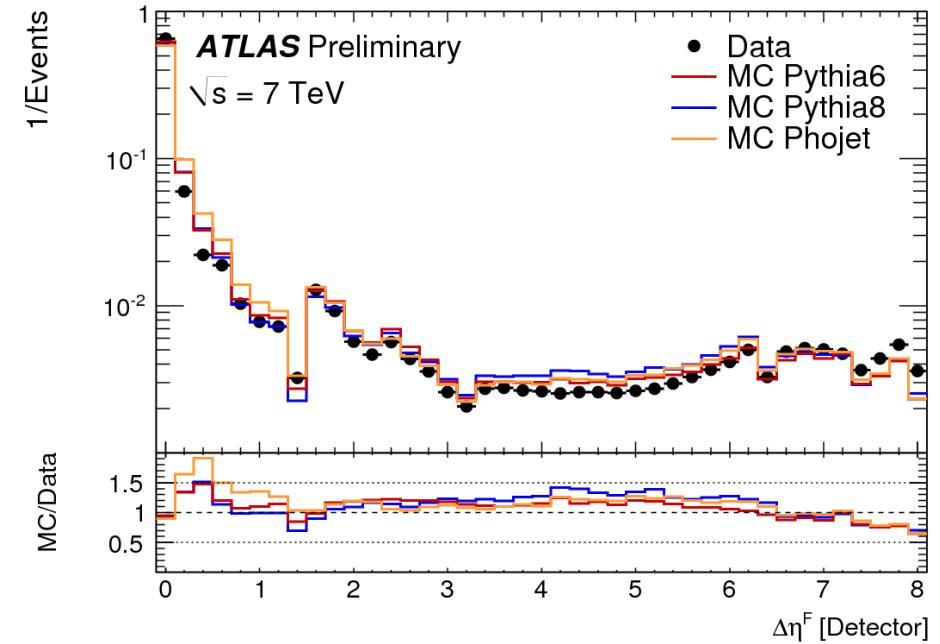
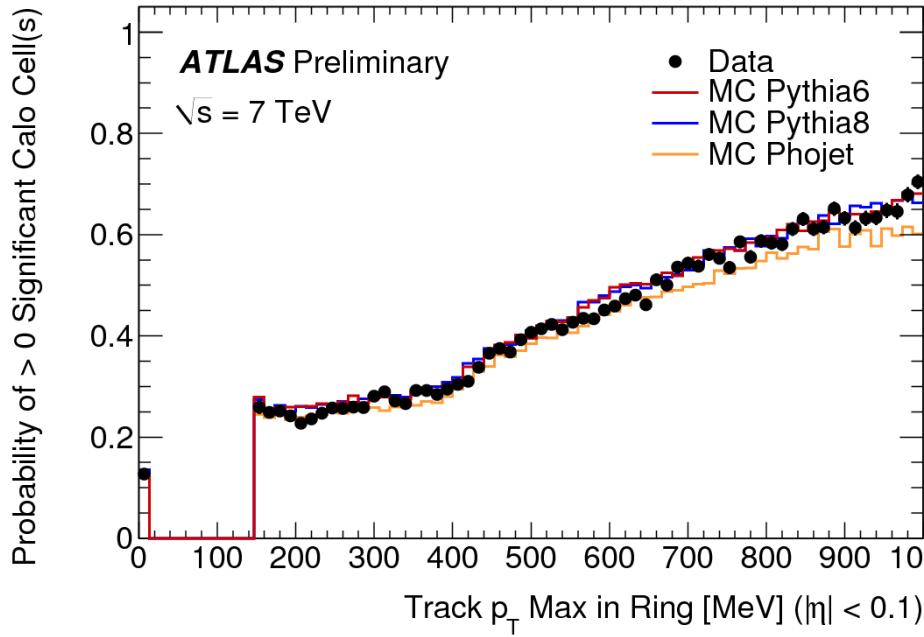
DD- like events are events with both $\xi_{x,y} > 10^{-6}$

SD- like events are events with $\xi_x > 10^{-6}$ and $\xi_y < 10^{-6}$

Contribution	PYTHIA6	PYTHIA8	PHOJET
Predicted			
ND (%)	67.9	67.9	80.8
SD-like (%)	28.8	29.4	17.0
DD-like (%)	3.3	2.7	1.9

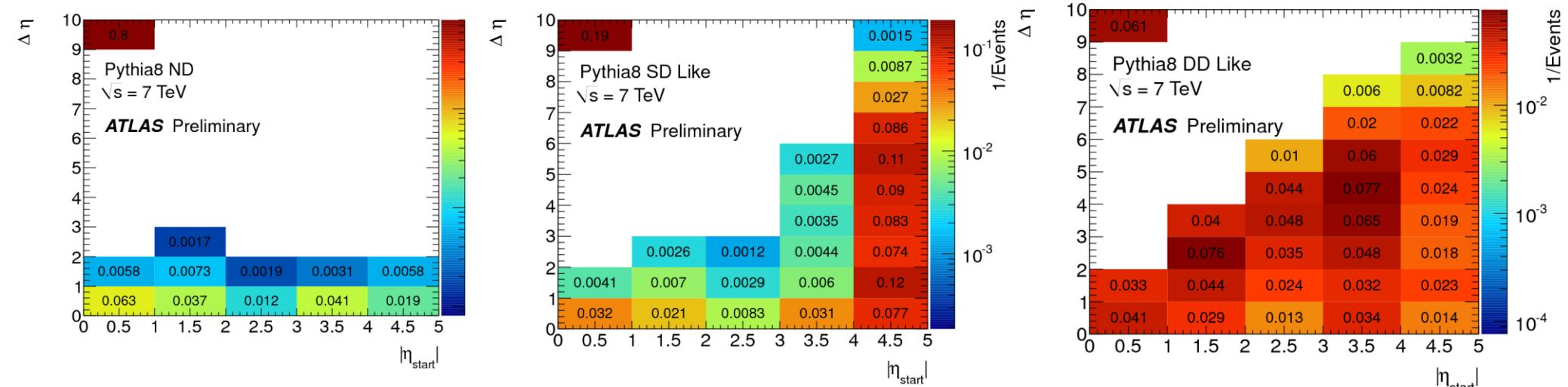
Control distributions

Before proceeding to unfolding to get the cross section
compare f_d optimized Monte Carlo with control distributions



Optimize the mix

Construct templates for ND, SD-like and DD -like .



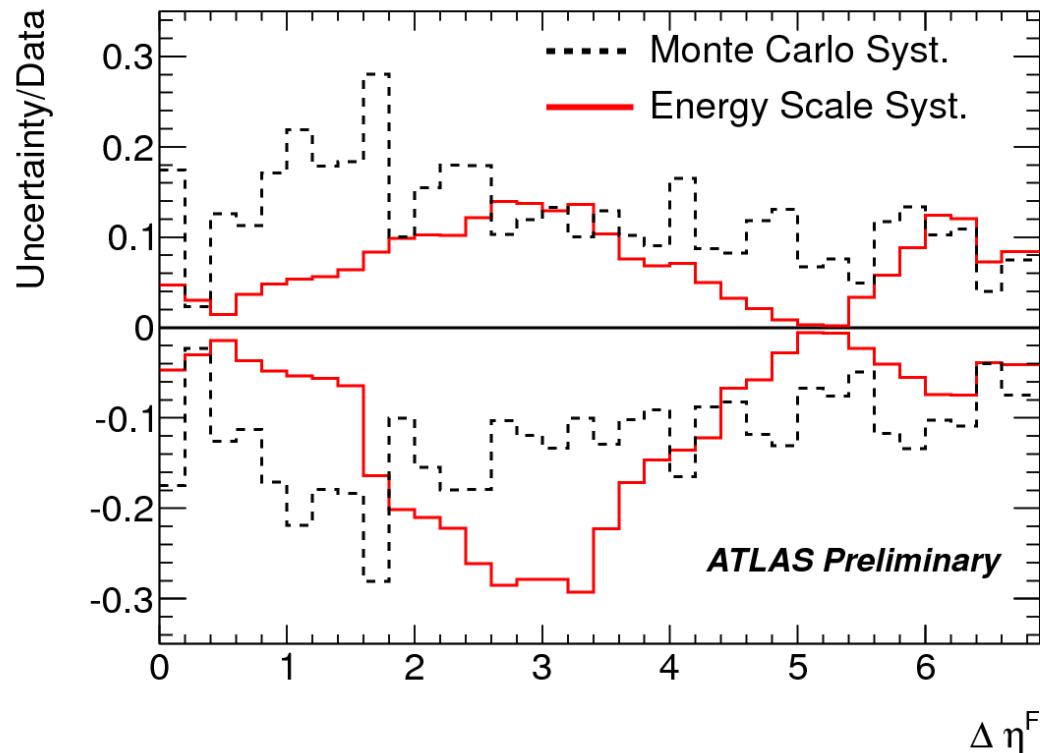
Fit the fraction for each template to the data from a log-likelihood fit

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Predicted			
ND (%)	67.9	67.9	80.8
SD-like (%)	28.8	29.4	17.0
DD-like (%)	3.3	2.7	1.9
Optimised			
ND (%)	72.0 ± 0.3	69.8 ± 0.3	70.3 ± 0.4
SD-like (%)	25.2 ± 0.2	21.3 ± 0.2	23.5 ± 0.2
DD-like (%)	2.9 ± 0.1	8.9 ± 0.2	6.2 ± 0.1

Measured diffractive fraction (Pythia8)

$$f_D = 30.2 \pm 0.3 \text{ (stat)} \pm 3.8 \text{ (syst)} \%$$

Systematic uncertainties



Bayesian method for unfolding:
G.D'Agostini, NIM A362 (1995) 487

Unfolding :
Difference of PYTHIA6
and PHOJET relative
PYTHIA8 gives indication

Energy scale: $\pm 25\%$

Others small:
Threshold cut,
MBTS efficiency
Tracking efficiency
.....