

From Hubble to Bubble: curvature induced phase transitions after inflation

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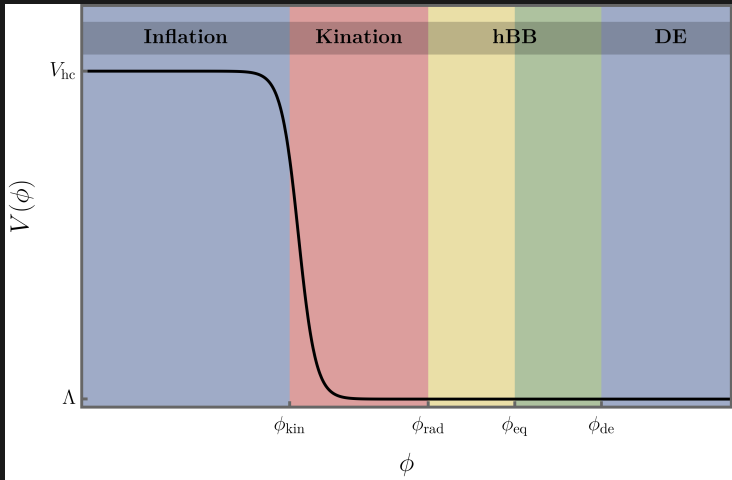
with M. Kierkla, G. Laverda, M. Lewicki, M. Piani, J. Rubio, and M. Zych (2309.08530)

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Cosmological evolution in quintessential inflation

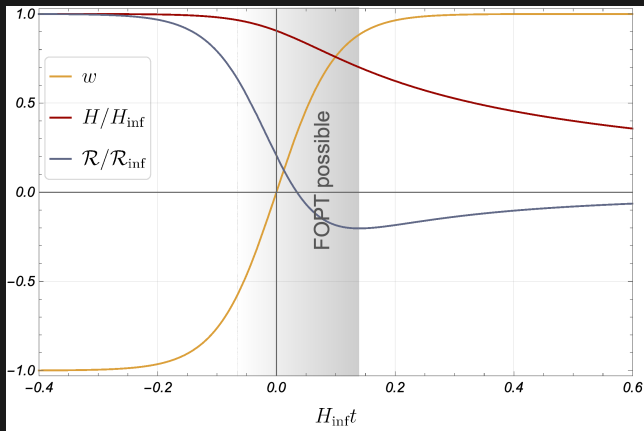
The energy density $\rho = \frac{1}{2}\dot{\phi}^2 + V$ and pressure $p = \frac{1}{2}\dot{\phi}^2 - V$ of the inflaton are related via the EoS parameter $w \equiv \frac{p}{\rho}$.



Transition from inflation to kination

The Ricci scalar generically switches sign at the end of inflation

$$\mathcal{R}(t) = 3[1 - 3w(t)]H^2(t), \quad w(t) = \tanh(\beta_w(t - t_0)).$$



Quintessential inflation: (1) no oscillations so only one PT and (2) long kination amplifies the GW signal.

Spectator scalar χ non-minimally coupled to gravity

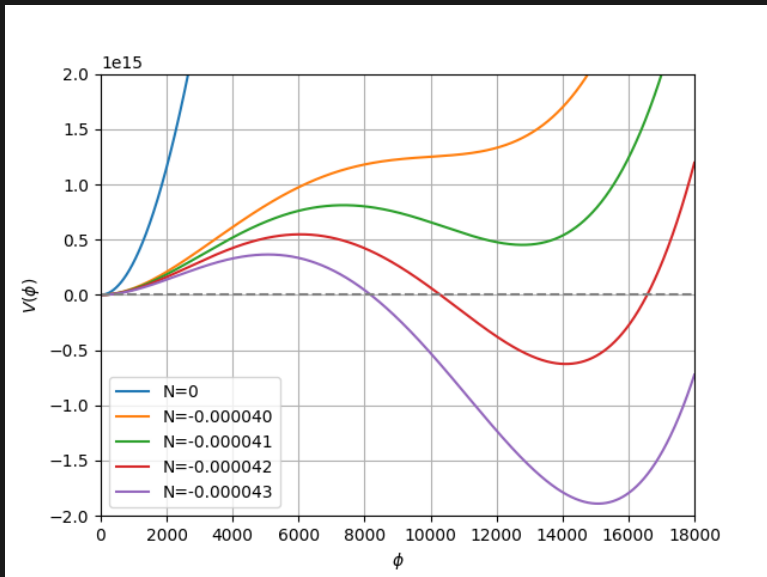
$$S = \int d^4x \sqrt{-g} \left[\frac{M_P^2 - \xi \chi^2}{2} \mathcal{R} - \frac{1}{2} (\partial\chi)^2 - V(\chi) + \mathcal{L}(\phi) \right]$$

- Minimal model of BSM scalar singlet extension with couplings that give a strong phase transition (PT).
- Non-minimal coupling to spacetime curvature is unavoidable and necessary for the renormalizability of the theory.
- PT after inflation, because the barrier of the renormalizable potential

$$V(\chi) = \frac{m^2 + \xi \mathcal{R}}{2} \chi^2 - \frac{\sigma}{3} \chi^3 + \frac{\lambda}{4} \chi^4$$

is suppressed as $(m^2 + \xi \mathcal{R}) \chi^2$ decreases due to $\mathcal{R}(t)$.

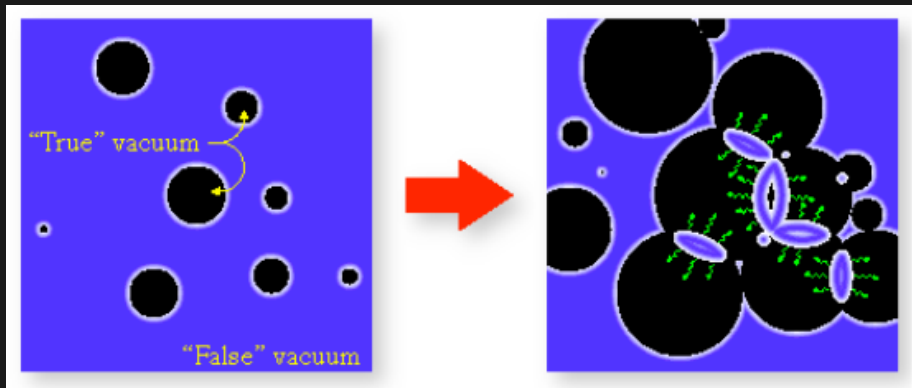
Barrier decreases \rightarrow PT via tunnelling \rightarrow bubble nucleation



Gravitational Waves from bubble collisions in vacuum

Nucleation condition $\Gamma(t_n) = H^4(t_n)$: one bubble/horizon for constant H_* .

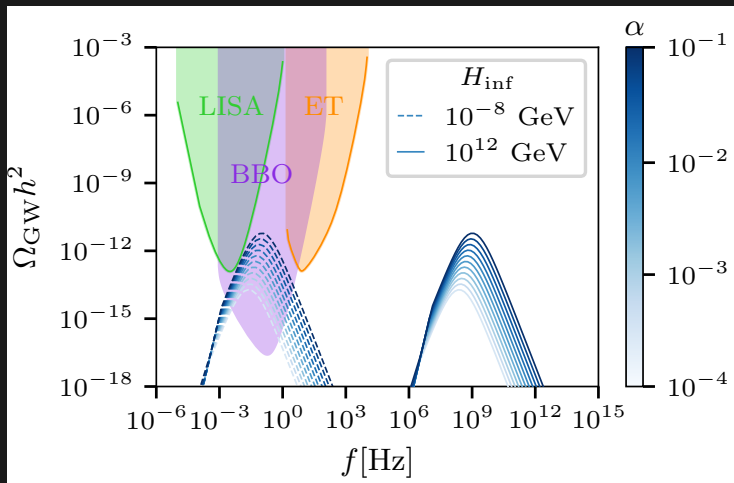
(J. Ellis, M. Lewicki and J. M. No, 2019)



Chiara Caprini, Cosmological stochastic gravitational wave backgrounds in LISA, 2022.

GWs from bubble collisions with $w = 1$ and $\beta_*/H_* = 100$

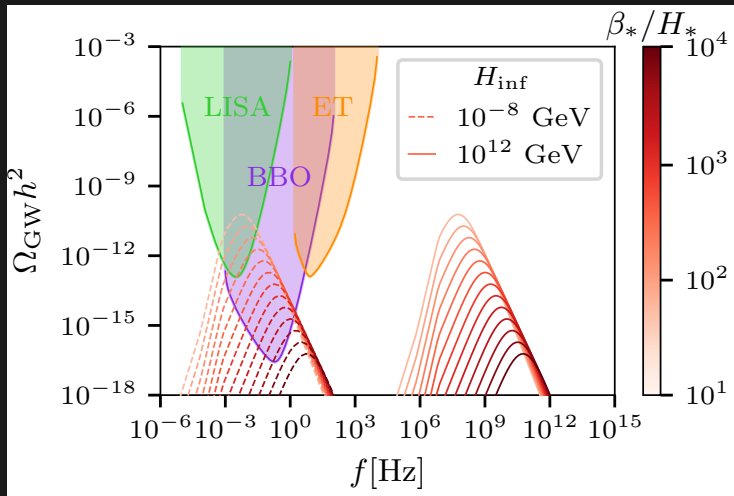
$$\Omega_{\text{GW},0} = \frac{1.67}{10^5 h^2} \alpha \left(\frac{H_*}{\beta_*} \right)^2 S(f), \quad f_{\text{peak},0} = \frac{1.65}{10^5} \frac{\sqrt[4]{3M_p^2 \xi_g^2 H_{\text{RD}}^2}}{100 \text{ GeV}} \left(\frac{0.13\beta_*}{H_* \sqrt{\alpha}} \right) \text{ Hz.}$$



Peak frequency determined by H_* , tilt from kination.

GWs from bubble collisions with $w = 1$ and $\alpha = 0.01$

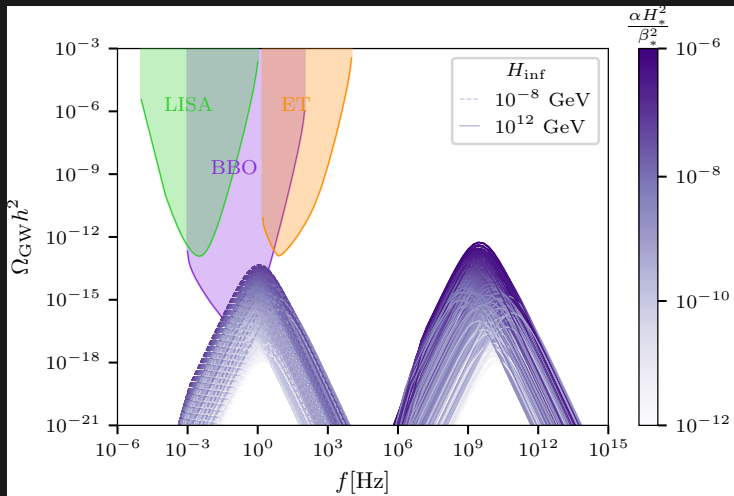
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Peak frequency determined by H_* , tilt from kination.

GWs from numerical scans of couplings for bubble profiles

$$\Omega_{\text{GW},0} = \frac{1.67}{10^5 h^2} \alpha \left(\frac{H_*}{\beta_*} \right)^2 S(f), \quad f_{\text{peak},0} = \frac{1.65}{10^5} \frac{\sqrt[4]{3M_p^2 \xi_g^2 H_{\text{RD}}^2}}{100 \text{ GeV}} \left(\frac{0.13 \beta_*}{H_* \sqrt{\alpha}} \right) \text{ Hz.}$$



Overview and objectives

- Proof-of-concept study of generating GWs from curvature induced PTs due to decreasing $(m^2 + \xi\mathcal{R})$ -term after inflation.

$$V = \frac{m^2 + \xi\mathcal{R}(t)}{2}\chi^2 - \frac{\sigma}{3}\chi^3 + \frac{\lambda}{4}\chi^4.$$

- Identified parameter space of BSM scalar couplings for strong FOPT:
 $m^2 \ll \xi\mathcal{R}$, $\xi \geq \frac{\sigma^2}{54\lambda H_{\text{inf}}^2}$, $\sigma \lesssim 10H_{\text{inf}}$, $\lambda \lesssim 10^{-3}$.
- GW spectra beyond detector sensitivities unless $H_* \sim \mu_{\text{EW}}$.
- Study “suitable” BSM potentials: currently working on Higgs-portal DM as the BSM spectator @ FCUP with O. Bertolami (2407.xxxxx).
- Investigate multiple PTs from oscillatory inflationary models.
- Necessary to incorporate reheating carefully.

Higgs-portal DM breaking EW sym. and producing GWs

$$V(\phi, h, t) = \frac{g^2 h^2 + \xi_\phi \mathcal{R}(t)}{2} \phi^2 - \frac{\sigma}{3} \phi^3 + \frac{\lambda_\phi}{4} \phi^4, \text{ for } \xi_\phi \leq 0$$

$$g = \frac{\sqrt{12\Omega_{\phi,0}} H_0 M_P}{v} \left(\frac{g_{*reh}}{g_{*0}} \right)^{\frac{1}{2}} \left(\frac{T_{reh}}{T_0} \right)^{\frac{3}{2}} \phi_{reh}^{-1} \simeq 3 \times 10^{-17} \left(\frac{T_{reh}}{80 \text{ GeV}} \right)^{\frac{3}{2}} \sigma^{-1} \lambda_\phi$$

