

Calorimeters – Upbringing & Care

A brief review on my personal journey from clean to dirty physics and the things we are trying to measure with the coolest detectors in the world

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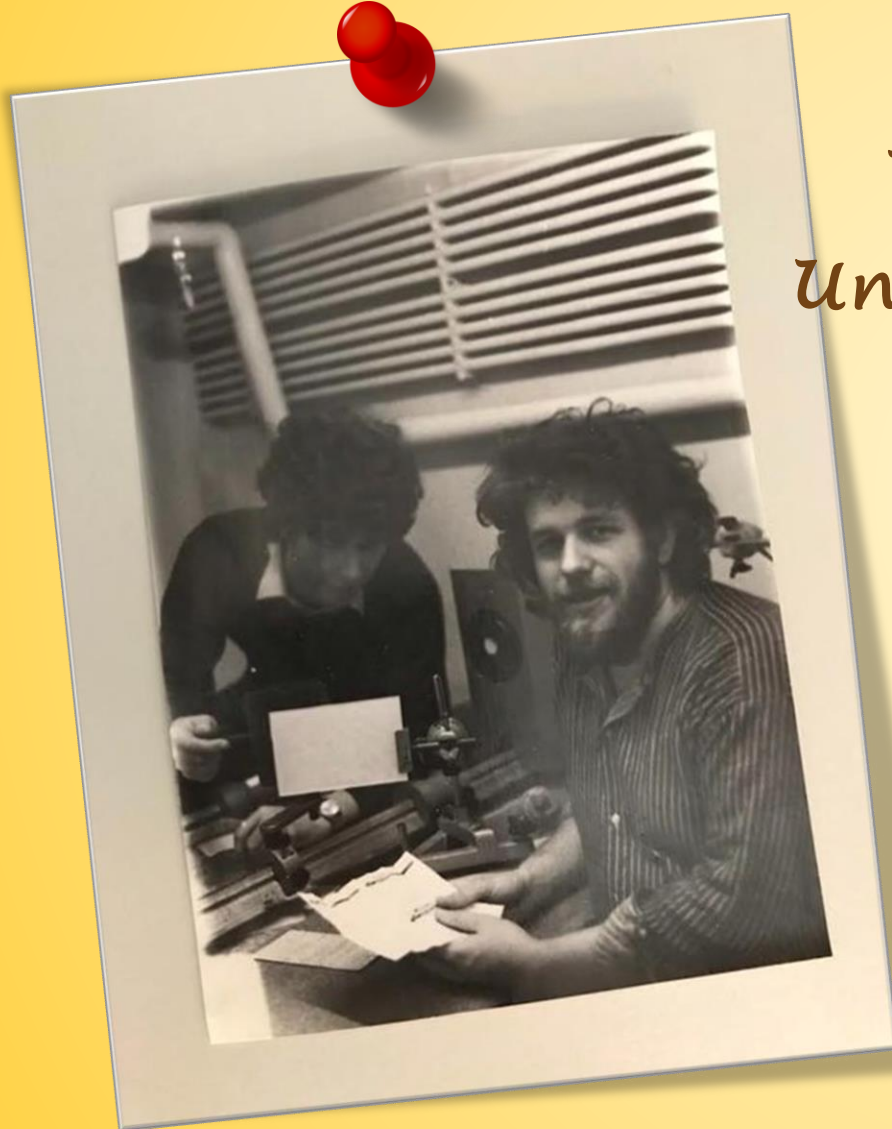
A brief review on my personal journey from clean to dirty physics and the things we are trying to measure with the ~~cool~~ *coldest* detectors in the world

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In the beginning...



*1981 in the basement of the Physics
Department of the
University of Hamburg and I thought ...*

In the beginning...

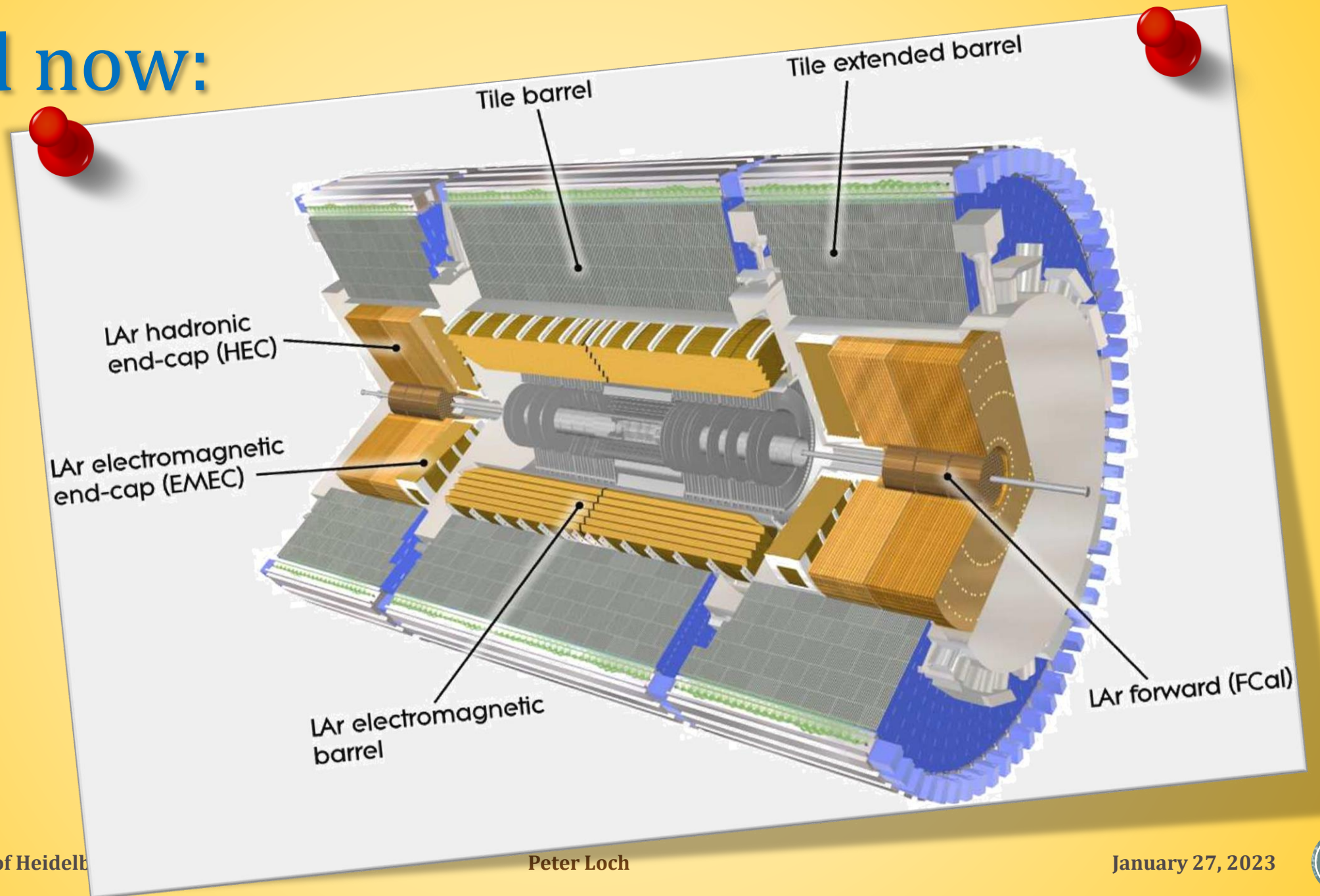


... this is a calorimeter!

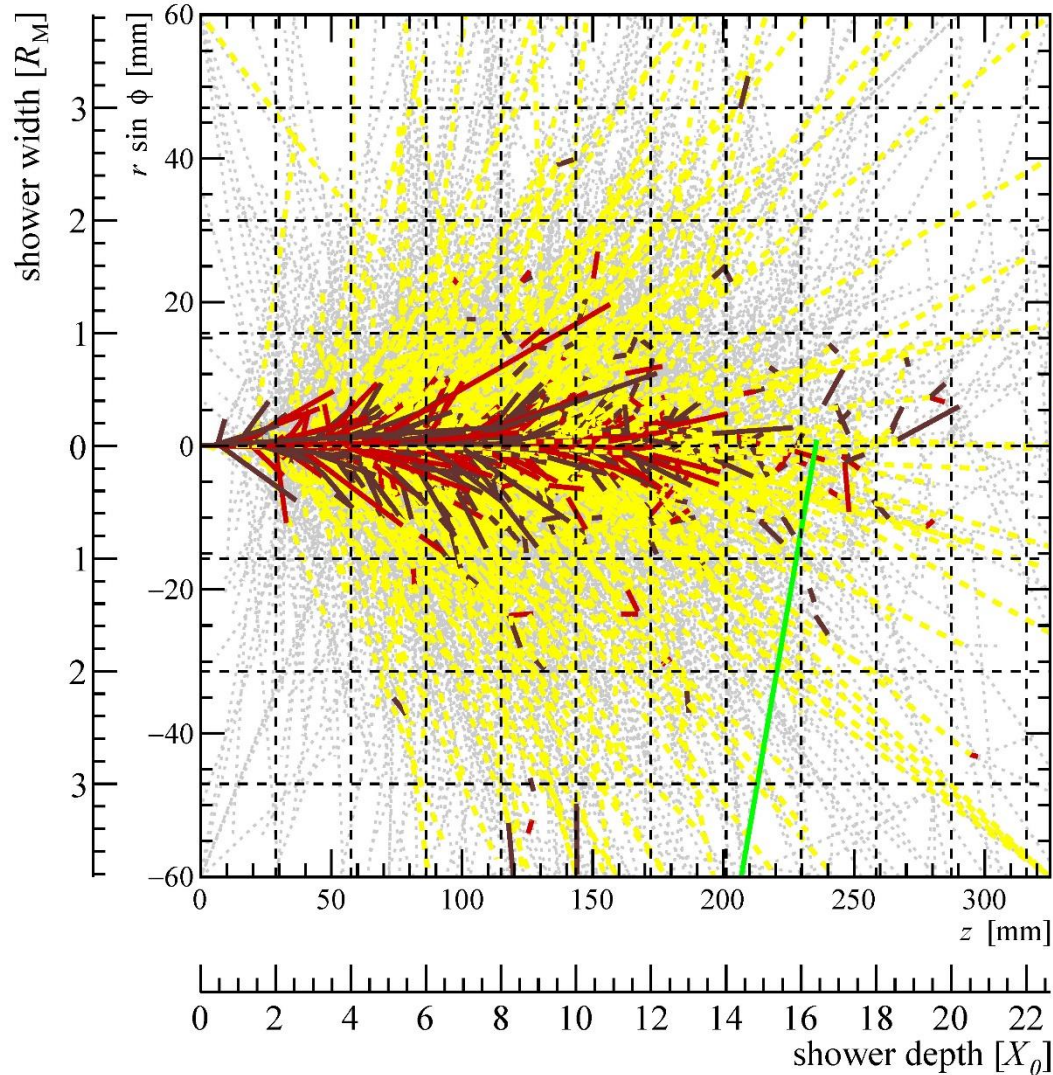


And it is!

... and now:



GEANT4 Simulation: 10 GeV e^- in copper

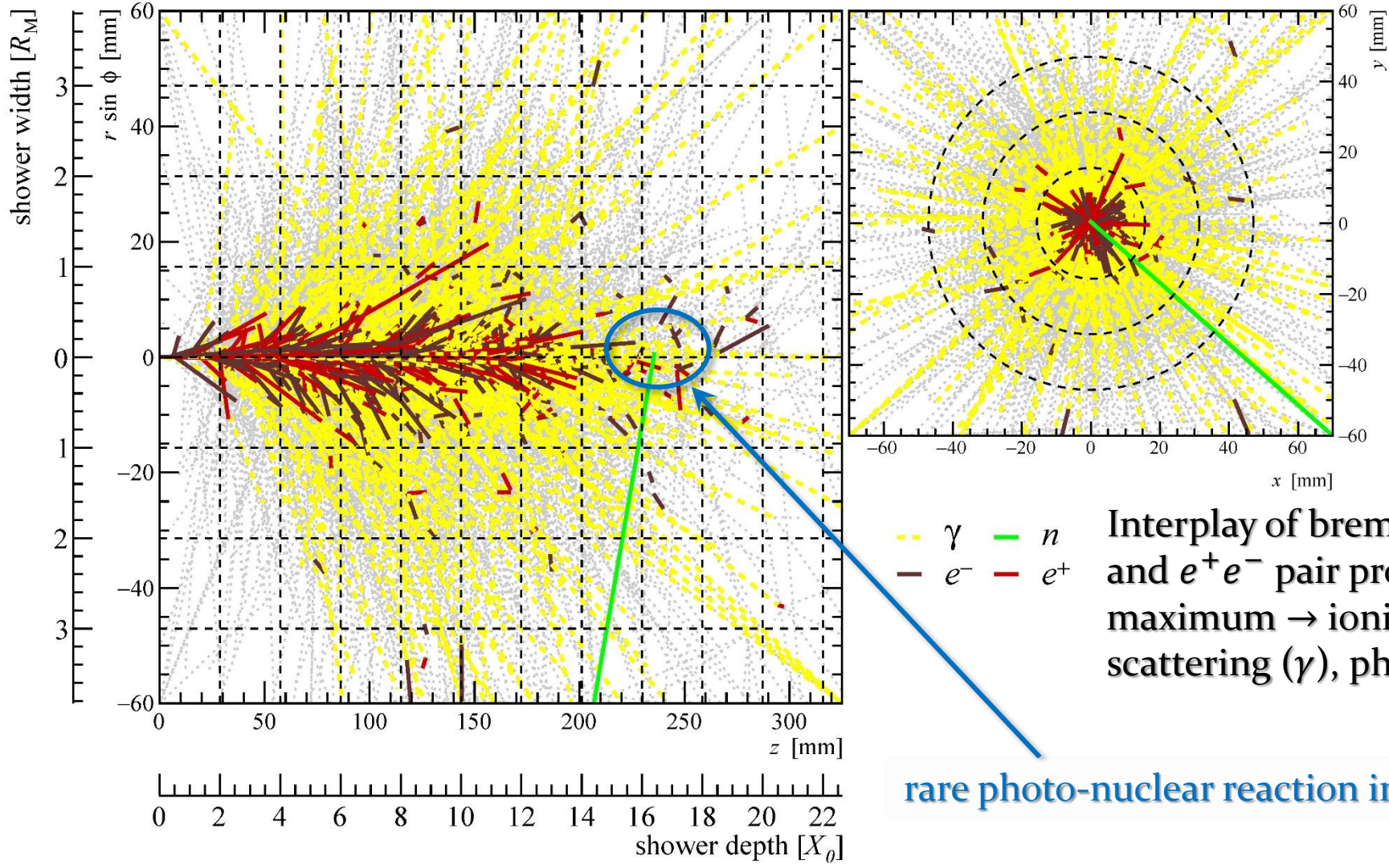


γ n
 e^- e^+

Interplay of bremsstrahlung and e^+e^- pair production up to shower maximum \rightarrow ionizations (e^\pm), Compton scattering (γ), photo-effect (γ)

Electromagnetic Showers

GEANT4 Simulation: 10 GeV e^- in copper



Interplay of bremsstrahlung and e^+e^- pair production up to shower maximum \rightarrow ionizations (e^\pm), Compton scattering (γ), photo-effect (γ)

rare photo-nuclear reaction in EM shower

QCD drives fast shower development

Hadron interacts with nucleon in nuclei

Like a fixed target collision

Develops intra-nuclear cascade (fast)

Fast stage – hadron production in intranuclear cascade

Secondary hadrons escape nucleus

Neutral pions decay ~immediately into two photons
→ electromagnetic cascade

Other hadrons can hit other nucleons → inter-nuclear cascade

Dominating signal contribution

Slow de-excitation of nuclei

Remaining nucleus in excited state

Evaporates energy to reach stable (ground) state

Fission and spallation possible

Small signal contribution in ATLAS Tile calorimeter

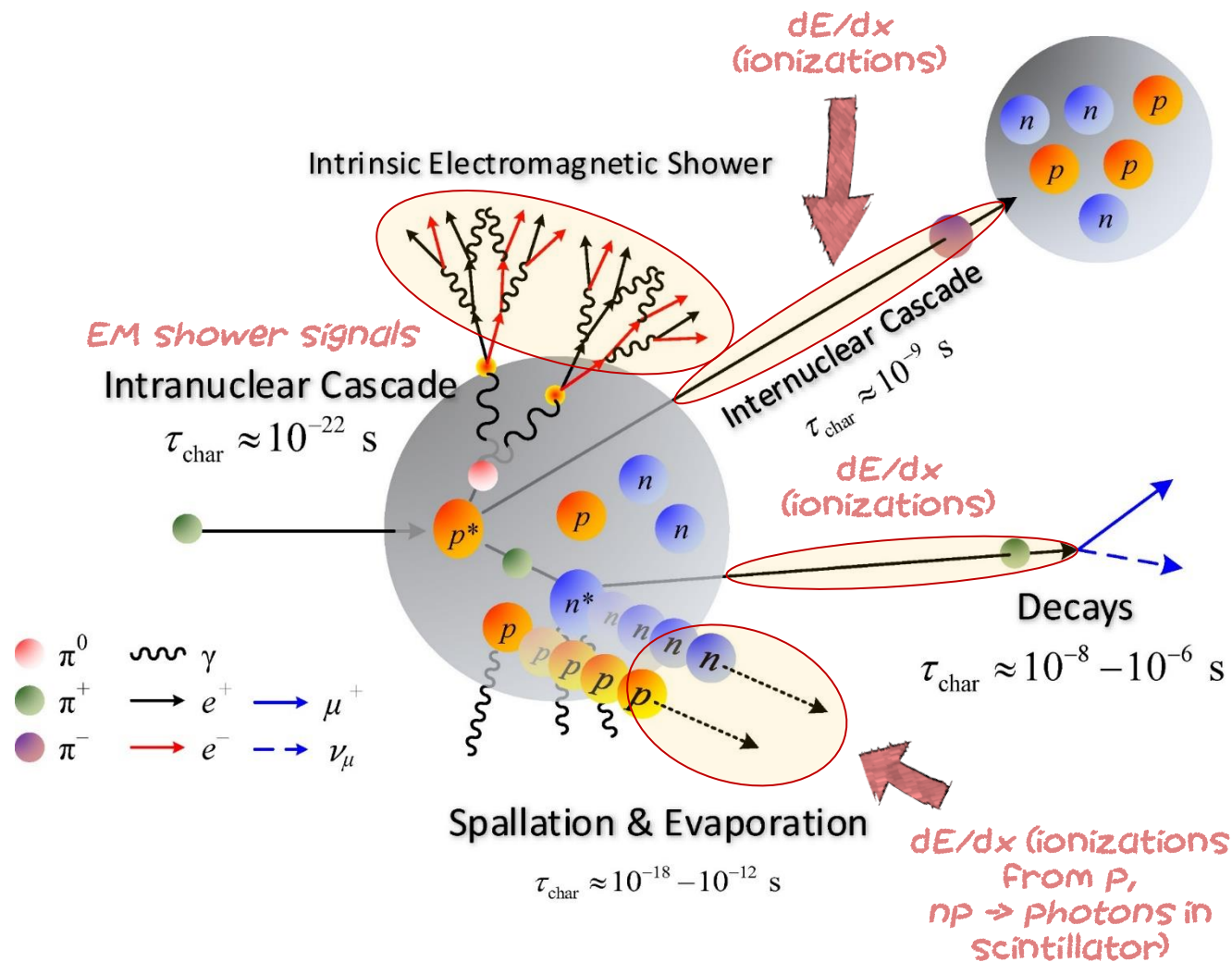
Binding energy and low energetic photons

Little to no signal contribution in ATLAS calorimeters

Large process fluctuations

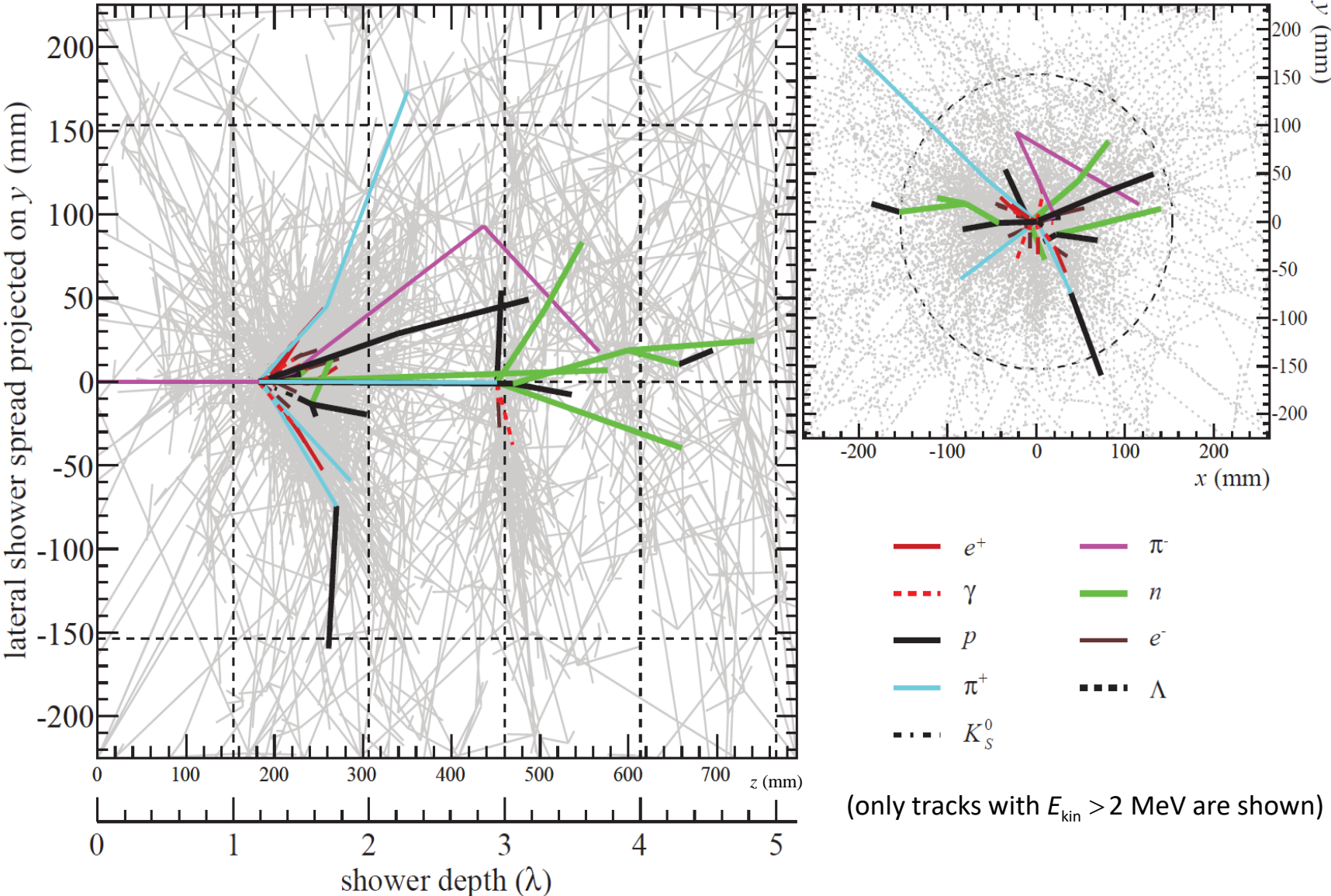
~200 different interactions

Highest probability process $\approx 2\%$

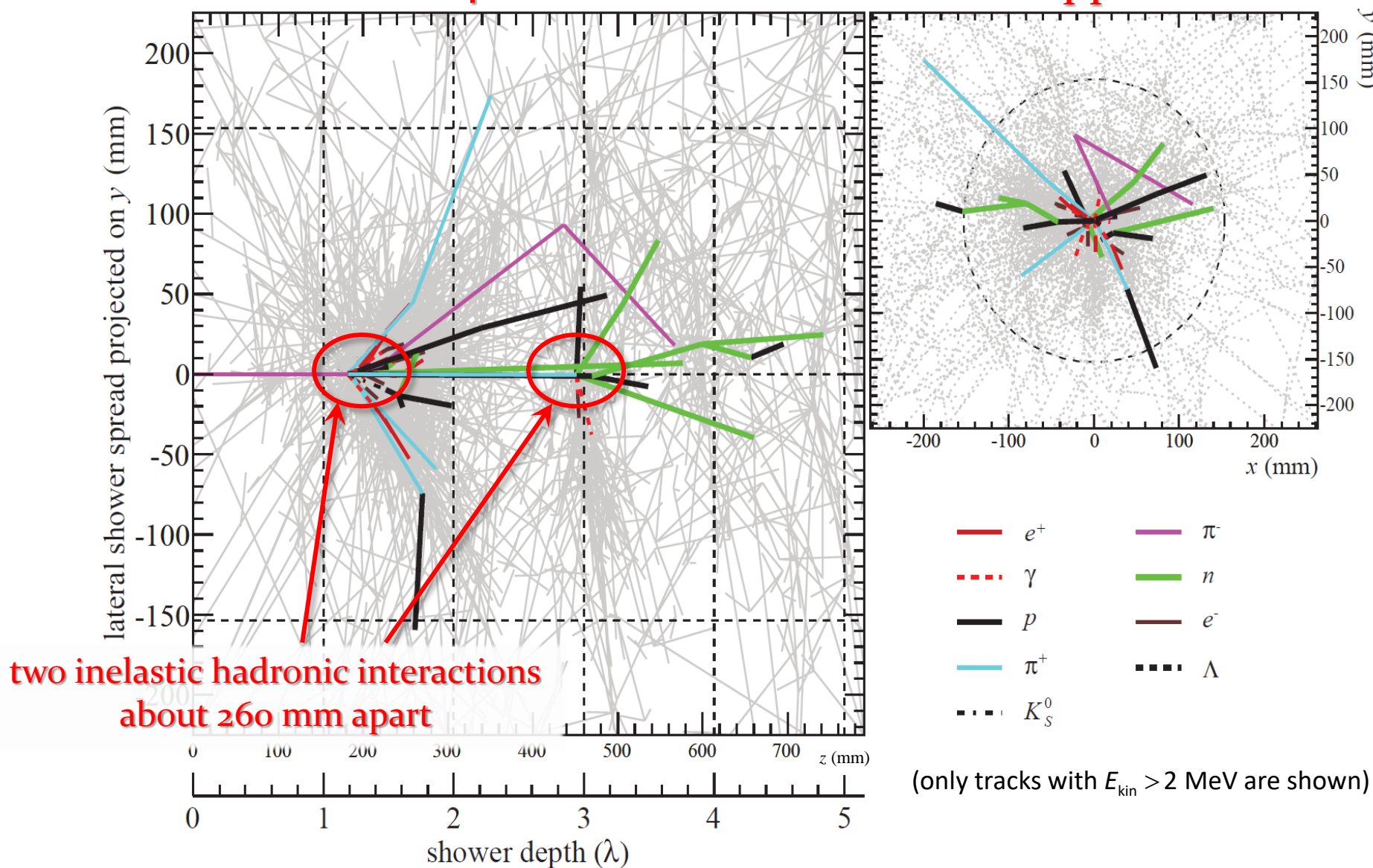


Hadronic Showers

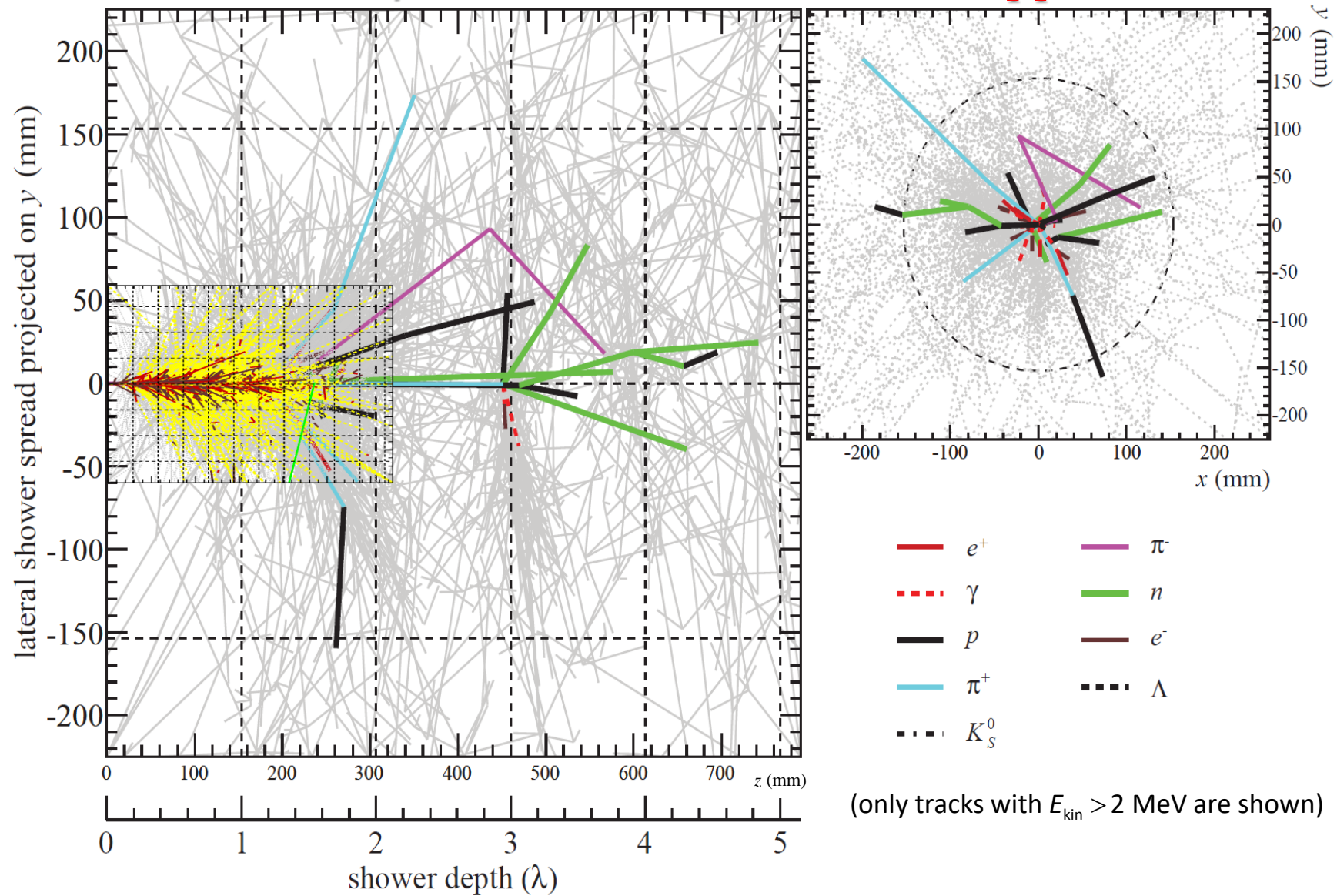
GEANT4 Simulation: 10 GeV π^+ in copper



GEANT₄ Simulation: 10 GeV π^+ in copper



GEANT₄ Simulation: 10 GeV π^+ in copper

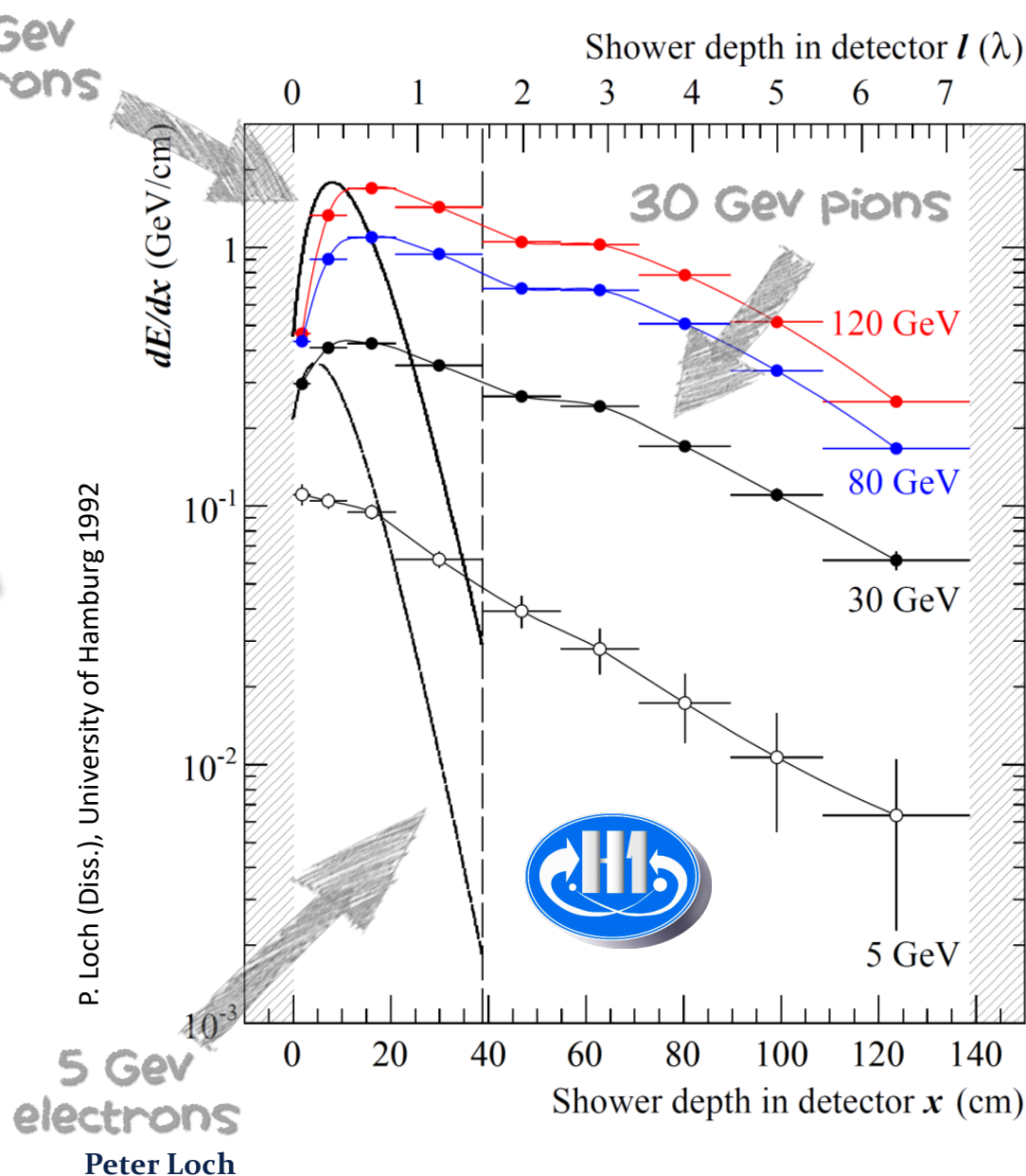


Hadronic Cascades in Calorimeters

Direct comparison of longitudinal profiles

Absolute energy loss per unit depth in EM and HAD shower in the same calorimeter

Testbeam data

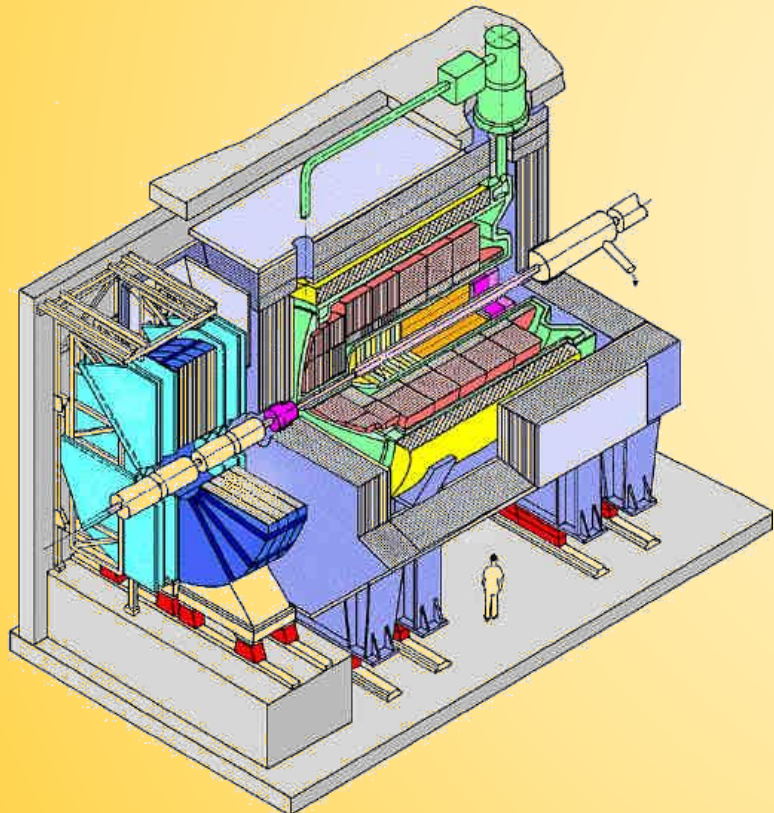


Moving on to the Experiment (1988-1992)

❖ H1 @ HERA (DESY Hamburg, 1992-2010)

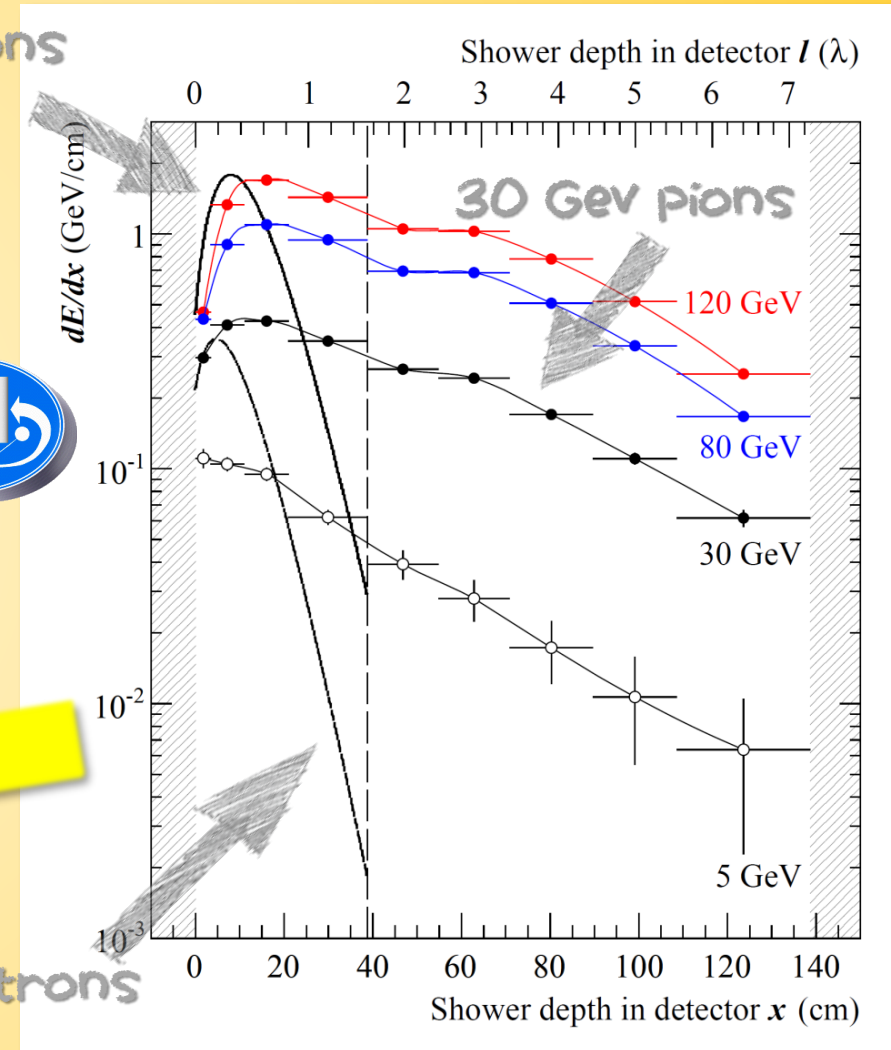
- ✳ Deep inelastic electron/positron-proton scattering –
- ✳ Remove electron signals (in neutral current scattering) defines the hadronic final state in the calorimeter...

30 GeV electrons



Testbeam data

5 GeV electrons



Moving on to the Experiment (1992-1993)

❖ H1 @ HERA (DESY Hamburg, 1992-2010)

- ※ Deep inelastic electron/positron-proton scattering –
- ※ Remove electron signals (in neutral current scattering) defines the hadronic final state in the calorimeter...

❖ GEM at SSC (defunct)

- ※ A zoo for calorimeters – have an idea, will be implemented (included tens of unbuildable, environmentally and operationally dangerous designs...)
- ※ Baby-steps for the forward calorimeter now in ATLAS...

Moving on to the Experiment (1993-1995)

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Moving on to the Experiment (1995-2025?)

❖ H1 @ HERA (DESY Hamburg, 1992-2010)

- ※ Deep inelastic electron/positron-proton scattering –
- ※ Remove electron signals (in neutral current scattering) defines the hadronic final state in the calorimeter...

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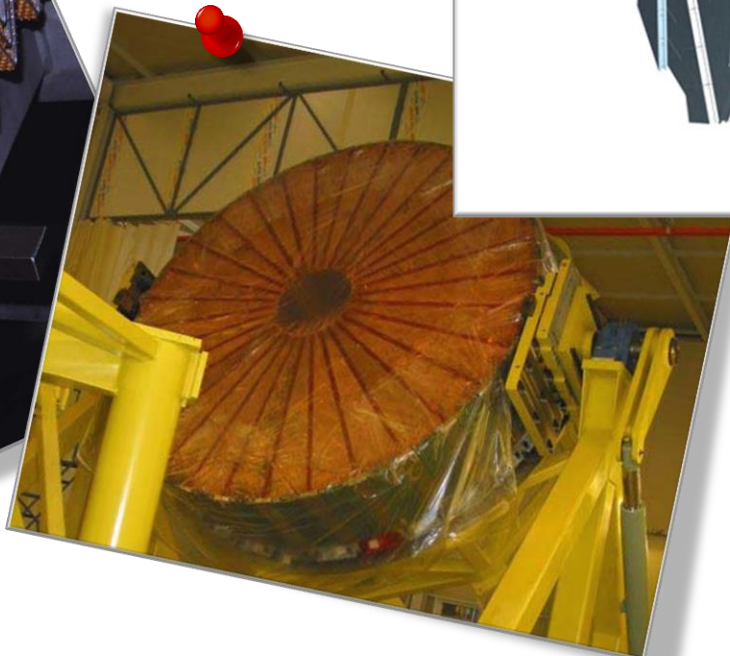
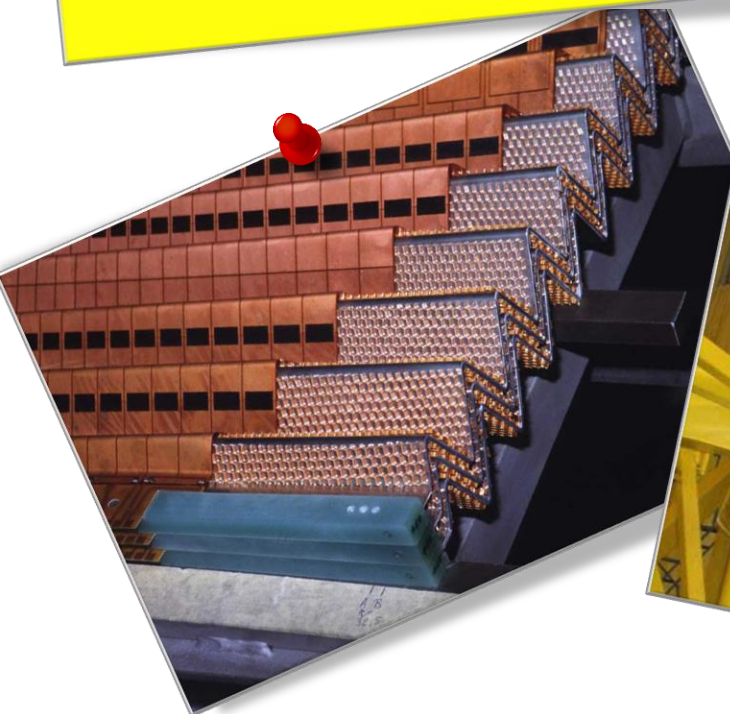
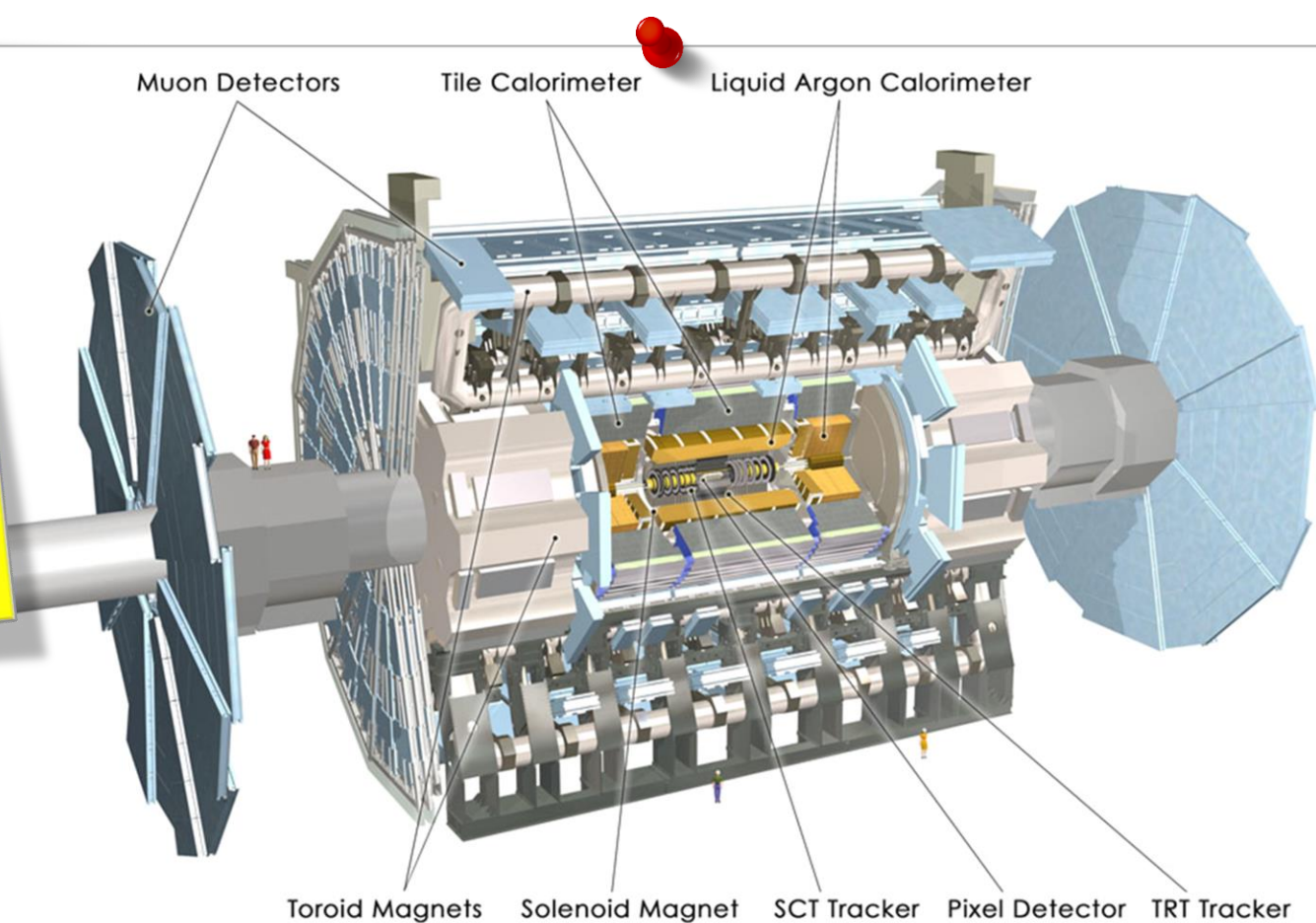
- ※ A zoo for calorimeters – have an idea, will be implemented (included tens of unbuildable, environmentally and operationally dangerous designs...)
- ※ Baby-steps for the forward calorimeter now in ATLAS...

❖ ATLAS at LHC (still alive – don't listen to Tilman!)

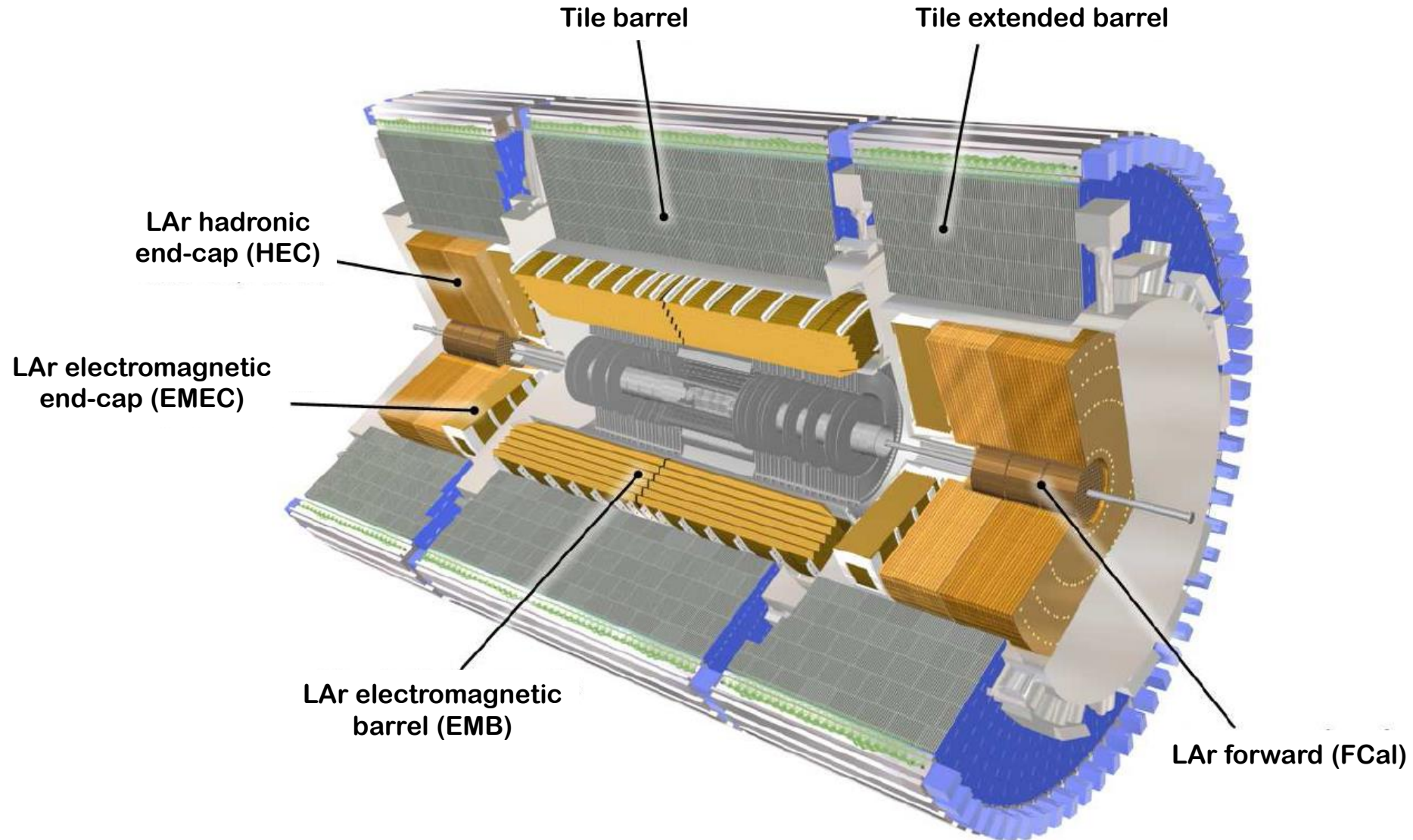
- ※ Complex hadronic final state with underlying event and pile-up
- ※ Precision jet measurements

CALORIMETERS IN ATLAS

MODULES, READOUT &
SIGNAL PROCESSING



ATLAS Calorimeters



Highly granular EM calorimeters

Liquid argon/lead sampling calorimeter

No azimuthal discontinuities due to accordion absorber structure in EMB and *Spanish-fan-shaped absorber* in the EMEC

Up to three longitudinal samplings + pre-sampler*

Stable operations even in high luminosity running – little to no detector degradation due to ionization rates

Projective readout cells

Operational considerations

Slow signal collection in liquid argon (charge collection time $t_d \approx 450$ ns) in the presence of high pile-up (bunch crossings every 25 ns) – bipolar signal shaping

Absorption power

24 – 27 X_0 for electrons and photons

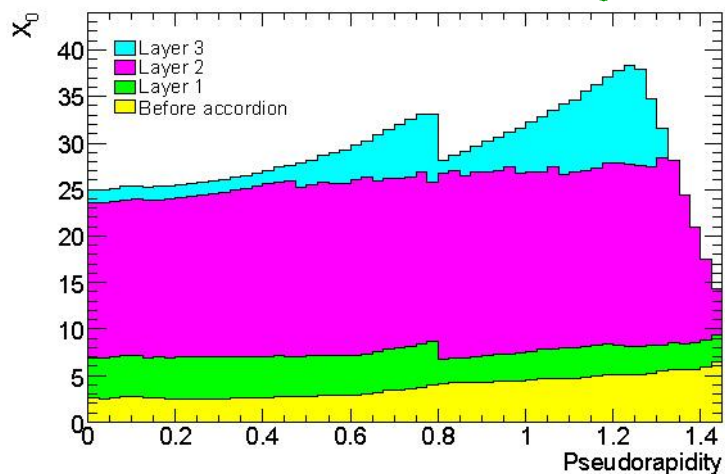
EMB		109 568	$ \eta < 1.52$	
	PreSamplerB	7 808	$ \eta < 1.52$	$0.025 \times \pi/32$
	EMB1		$ \eta < 1.4$	$0.025/8 \times \pi/32$
	3 longitudinal segments in $ \eta < 1.52$ (EMB1-3)			
	EMB2		$1.4 < \eta < 1.475$	$0.025 \times \pi/128$
			$ \eta < 1.4$	$0.025 \times \pi/128$
			$1.4 < \eta < 1.475$	$0.075 \times \pi/128$
	EMB3		$ \eta < 1.35$	$0.050 \times \pi/128$
EMEC		63 744	$1.375 < \eta < 3.2$	
	PreSamplerE	1 536	$1.5 < \eta < 1.8$	$0.025 \times \pi/32$
	EME1		$1.375 < \eta < 1.425$	$0.050 \times \pi/32$
	3 longitudinal segments in $1.375 < \eta < 2.5$ (EME1-3), 2 longitudinal segments in $2.5 < \eta < 3.2$ (EME1-2)			
			$1.425 < \eta < 1.5$	$0.025 \times \pi/32$
			$1.5 < \eta < 1.8$	$0.025/8 \times \pi/32$
			$1.8 < \eta < 2.0$	$0.025/6 \times \pi/32$
			$2.0 < \eta < 2.4$	$0.025/4 \times \pi/32$
			$2.4 < \eta < 2.5$	$0.025 \times \pi/32$
			$2.5 < \eta < 3.2$	$0.1 \times \pi/32$
	EME2		$1.375 < \eta < 1.425$	$0.050 \times \pi/128$
			$1.425 < \eta < 2.5$	$0.025 \times \pi/128$
			$2.5 < \eta < 3.2$	$0.1 \times \pi/128$
	EME3		$1.5 < \eta < 2.5$	$0.050 \times \pi/128$

173,312
independent
readout
channels

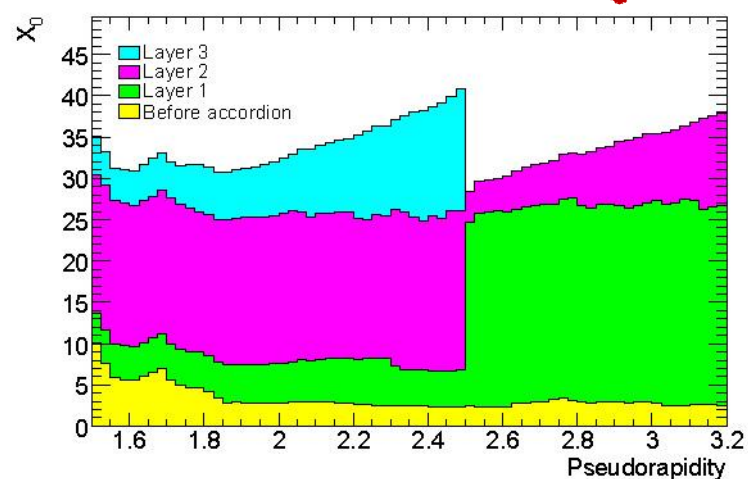
*readout layer (“massless gap”) between cryostat wall and front face of calorimeter – provides signal proportional to energy loss in upstream material

Electromagnetic Calorimeters in ATLAS

EMB material budget



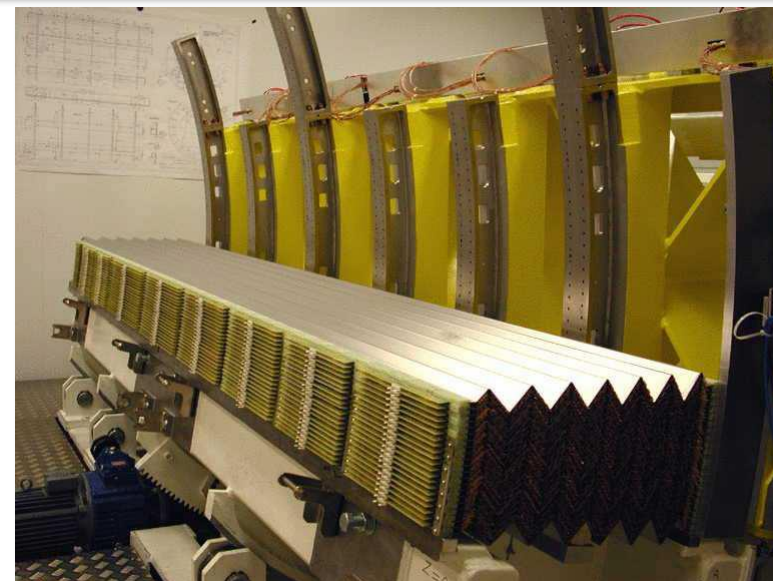
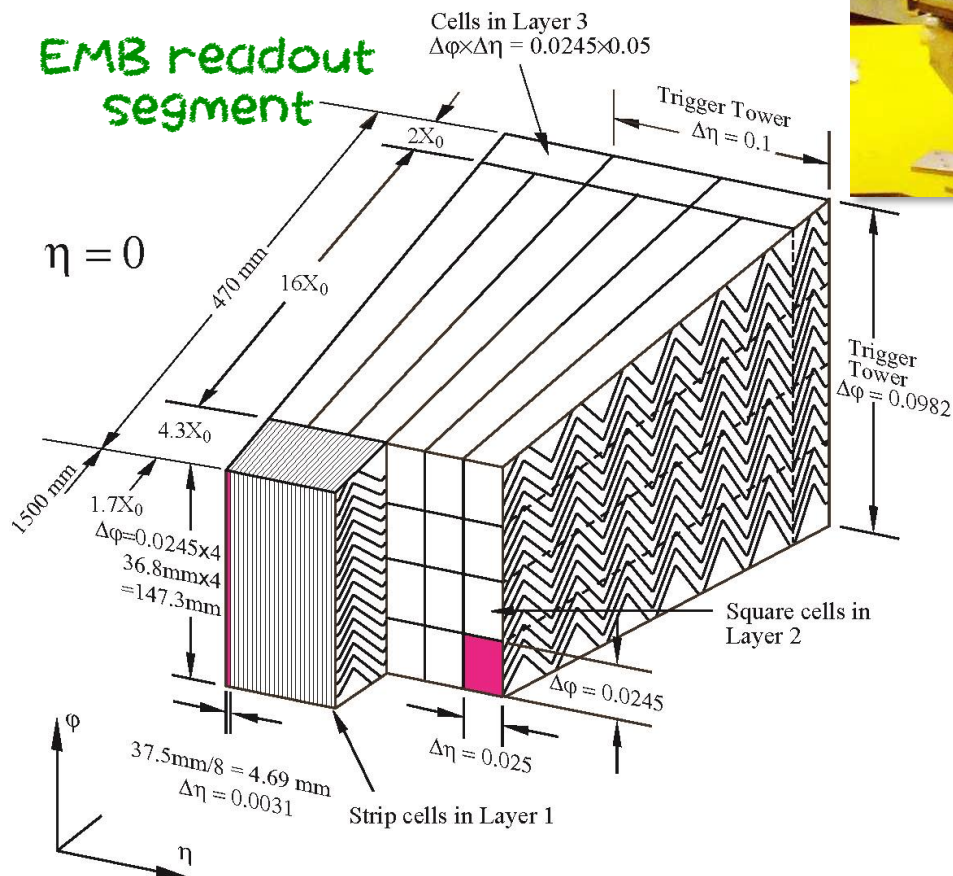
EMEC material budget



EMEC module construction
~1/4 of wheel assembled



EMB readout segment



EMB absorber stacking

Central hadronic calorimeters

Scintillator/steel tile calorimeter

Signal is carried by photons and collected by photomultiplier tubes (2 channels per cell)
 Three longitudinal samplings with a projective readout geometry
 Fast signal within 50 ns – reduced effect of pile-up on signal, (near) unipolar signals

End-cap hadronic calorimeter

Liquid argon/copper calorimeter

Four longitudinal samples
 High stability in signal generation without observable detector degradation due to high luminosities
 Projective readout geometry

Forward calorimeter

Liquid argon/copper (EM) and liquid argon/tungsten (HAD)

Thin gap calorimeter (charge collection time $t_d \approx 50$ ns) optimized for high ionization rates due to pile-up
 Non-projective readout geometry features electrodes parallel to beam line
 Dense absorber acts as radiation shield for muon spectrometer

<i>Hadronic calorimeters</i>						
Tile (barrel)	TileBar0/1	2 880	$ \eta < 1$		$0.1 \times \pi/32$	
	TileBar2				$0.2 \times \pi/32$	
	Tile (extended barrel)		2 304	$0.8 < \eta < 1.7$		
	TileExt0/1				$0.1 \times \pi/32$	
	TileExt2				$0.2 \times \pi/32$	
	HEC		5 632	$1.5 < \eta < 3.2$		
<i>Forward calorimeters</i>		FCAL	3 524	$3.1 < \eta < 4.9$	$\Delta x \times \Delta y$	
				FCAL0	$3.1 < \eta < 3.15$	$1.5 \text{ cm} \times 1.3 \text{ cm}$
					$3.15 < \eta < 4.3$	$3.0 \text{ cm} \times 2.6 \text{ cm}$
			$4.3 < \eta < 4.83$	$1.5 \text{ cm} \times 1.3 \text{ cm}$		
		FCAL1	$3.2 < \eta < 3.24$	$1.7 \text{ cm} \times 2.1 \text{ cm}$		
			$3.24 < \eta < 4.5$	$3.3 \text{ cm} \times 4.2 \text{ cm}$		
			$4.5 < \eta < 4.81$	$1.7 \text{ cm} \times 2.1 \text{ cm}$		
		FCAL2	$3.29 < \eta < 3.32$	$2.7 \text{ cm} \times 2.4 \text{ cm}$		
			$3.32 < \eta < 4.6$	$5.4 \text{ cm} \times 4.7 \text{ cm}$		
$4.6 < \eta < 4.75$	$2.7 \text{ cm} \times 2.4 \text{ cm}$					

14,340 individual channels in total*

Full hadronic coverage provided by the EM and HAD calorimeters with a combined depth $\geq 10\lambda$ nearly everywhere within the whole acceptance $|\eta| \lesssim 4.9$

Calorimeter readout

17,540 regular calorimeter cells

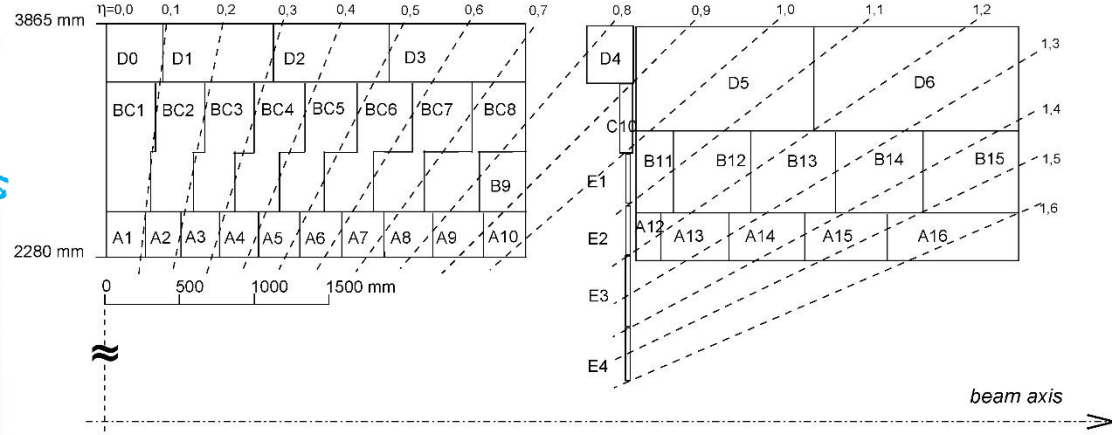
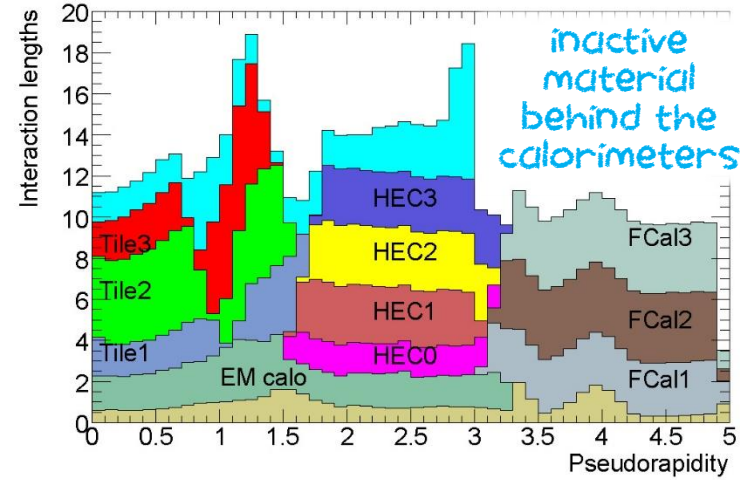
10,112 pre-sampler/gap scintillator

18,762 independent readout channels

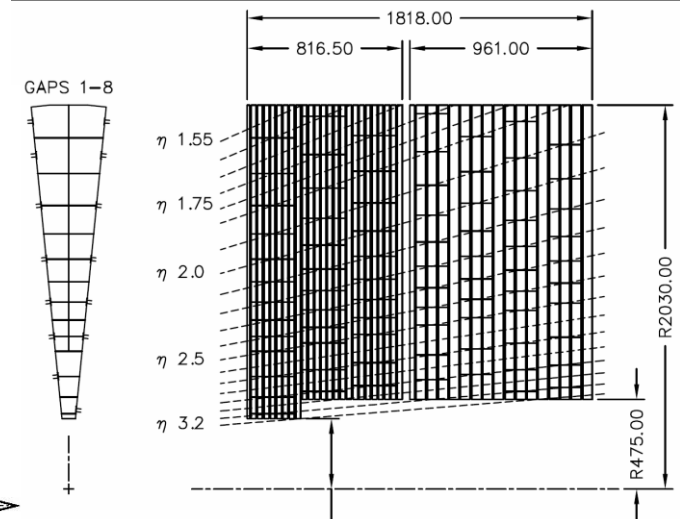
*Tile has dual readout (2 electronic channels per cell) with only one of those used for cell energy measurements

Hadronic Calorimeters in ATLAS

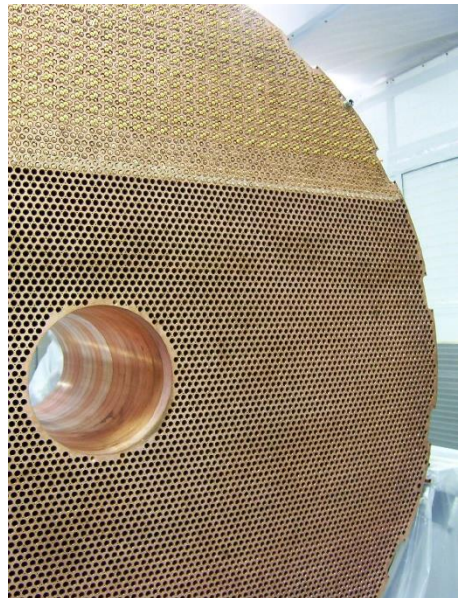
Hadronic depth along rapidity



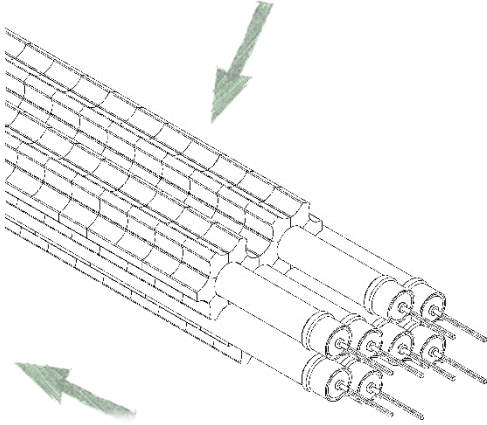
Tile readout geometry



HEC readout geometry



FCal 2/3 electrodes with tungsten form pieces

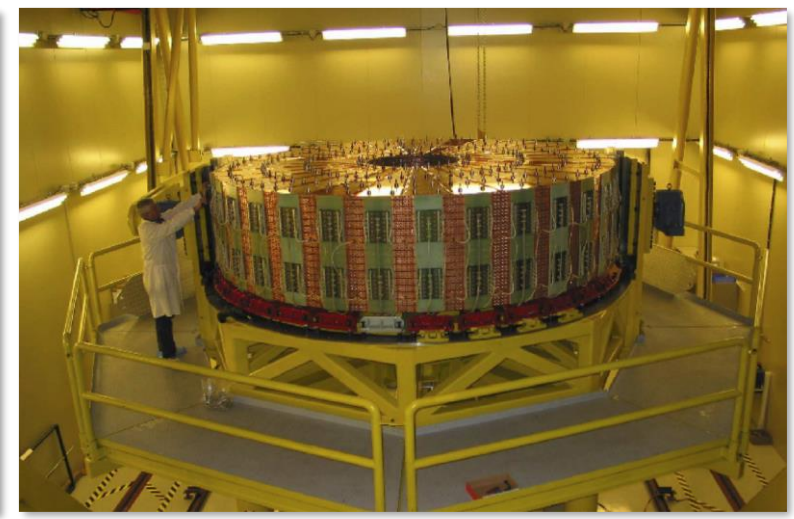


FCal 1 module partly instrumented



Tile segment

Peter Loch



HEC complete wheel

February 6, 2024

Signal Formation Example: ATLAS LAr Calorimeter

Sampling calorimeter

Ionization electrons collected in electric field between absorbers

Collect charge in electric field E

Measure current

Characteristic features

Collected charge and current are proportional to energy deposited in active medium

$$Q(t = t_d) = N_e e / 2$$

$$I(t = t_0) = N_e e / t_d$$

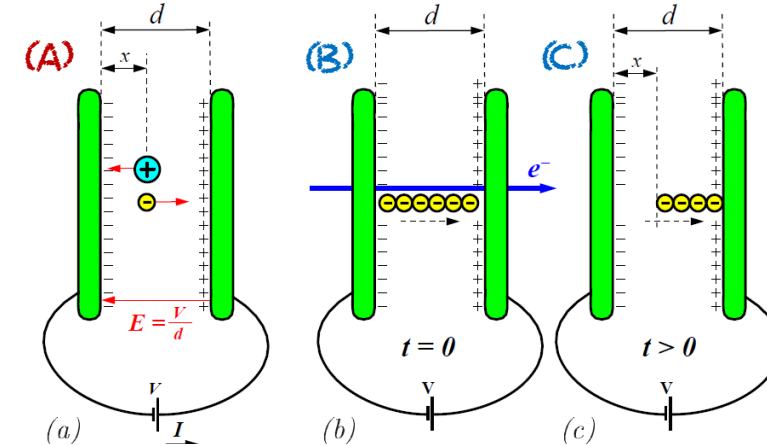
$$N_e(t) = N_e(t = t_0) / d \cdot (d - x(t))$$

Drift time t_d for electrons in active medium

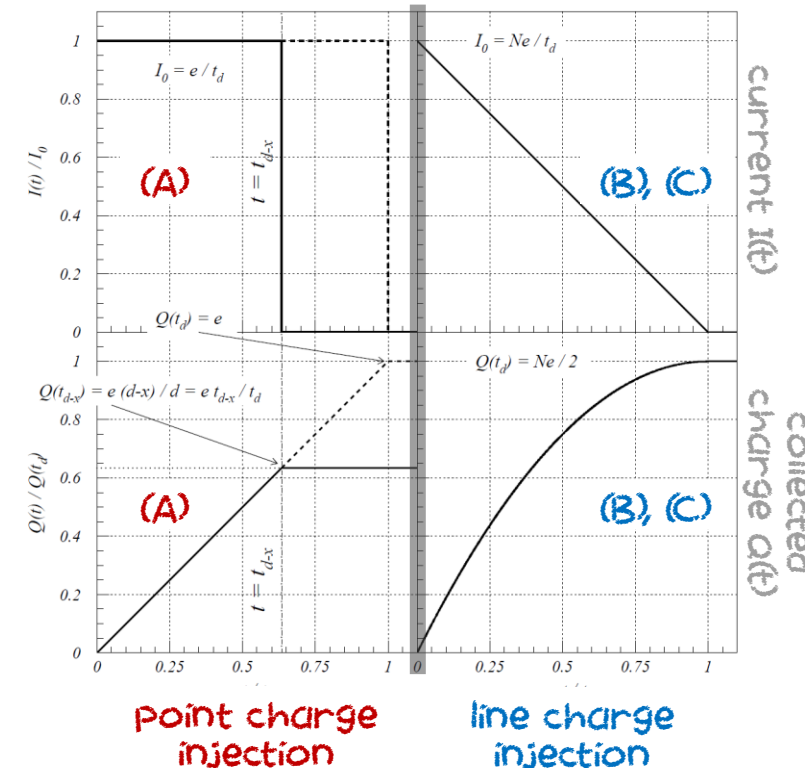
Determines charge collection time

Can be adjusted to optimize calorimeter performance

$t_d \approx 450(50)$ ns for $d = 2.25(0.25)$ mm and $E = 1$ kV/mm field – values in () are for the FCal

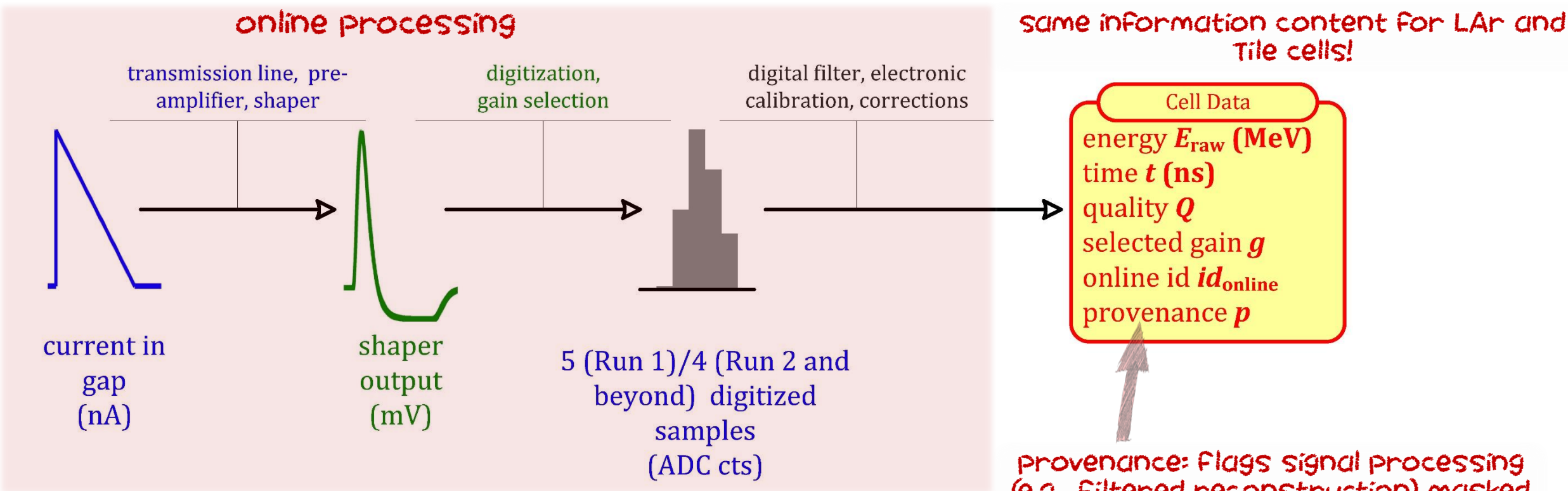


Passage of fast ionizing particle ($\Delta t_{x=0}^{x=d} \ll t_d$) generates line charge in the active medium



$$I_0 = \frac{Q = N \times e}{t_d} \propto E_0$$

$$Q(t_d) = \frac{N \times e}{2} \propto E_0$$



provenance: Flags signal processing (e.g., Filtered reconstruction) masked cells (e.g., noise bursts), estimated signal for dead cells, etc. ...

$$E_{\text{raw}} = A_{\text{peak}} \times \underbrace{\left[\text{bunch intensity} \right]}_{\text{correction for position of bunch crossing in train}} \times \underbrace{\left[\text{ADC} \rightarrow \text{nA} \right]}_{\text{current calibration}}$$

online

$$\times \underbrace{\left(\left[\text{HV} \right] \times \left[\text{cross-talk} \right] \times \left[\text{purity} \right] \right)}_{\text{electronic and efficiency corrections}} \times \underbrace{\left[\text{nA} \rightarrow \text{MeV} \right]}_{\text{energy calibration}}$$

Cell signal at electromagnetic energy scale

What is response?

Reconstructed calorimeter signal

- Based on the direct measurement – the raw signal
- May include noise suppression (digital filtering)
- All cell level corrections for hardware failures and run conditions are applied

Has the concept of **signal** (or **energy**) **scale**

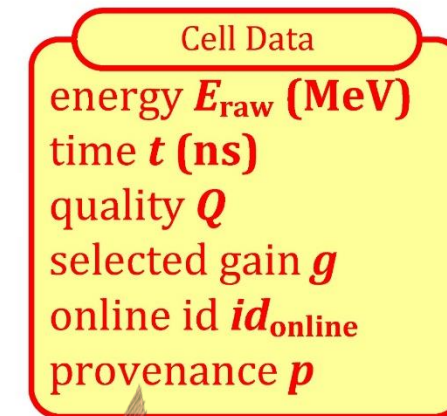
- Basic signal before final calibrations (EM scale)
- Derived from electron signals in test beams and monitored *in-situ* in collision events
- Ideal EM scale – does not reconstruct full particle energy!

$$E_{\text{raw}} = A_{\text{peak}} \times \underbrace{\left[\text{bunch intensity} \right]}_{\substack{\text{correction for position of bunch} \\ \text{crossing in train}}} \times \underbrace{\left[\text{ADC} \rightarrow \text{nA} \right]}_{\text{current calibration}}$$

online

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same information content for LAr and Tile cells!



provenance: flags signal processing (e.g., filtered reconstruction) masked cells (e.g., noise bursts), estimated signal for dead cells, etc. ...

Cell signal at electromagnetic energy scale

Pile-up at the LHC

Origin

High collision luminosity = proton beam intensities \otimes bunch crossing frequency \otimes high inclusive pp cross section

Comparably slow signal collection in LAr

In-time pile-up

Signals generated by particles from additional pp collisions in the same bunch crossing

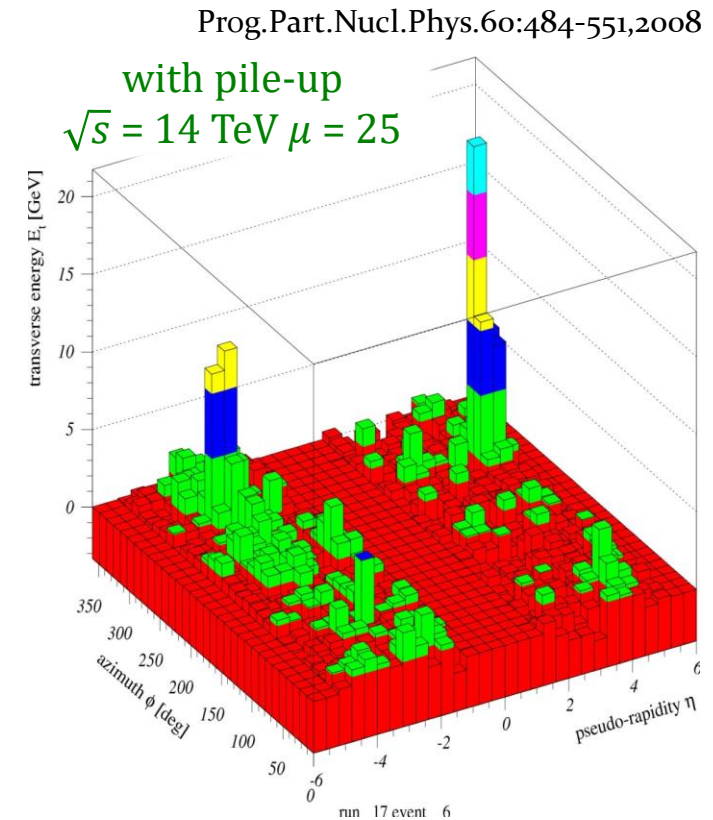
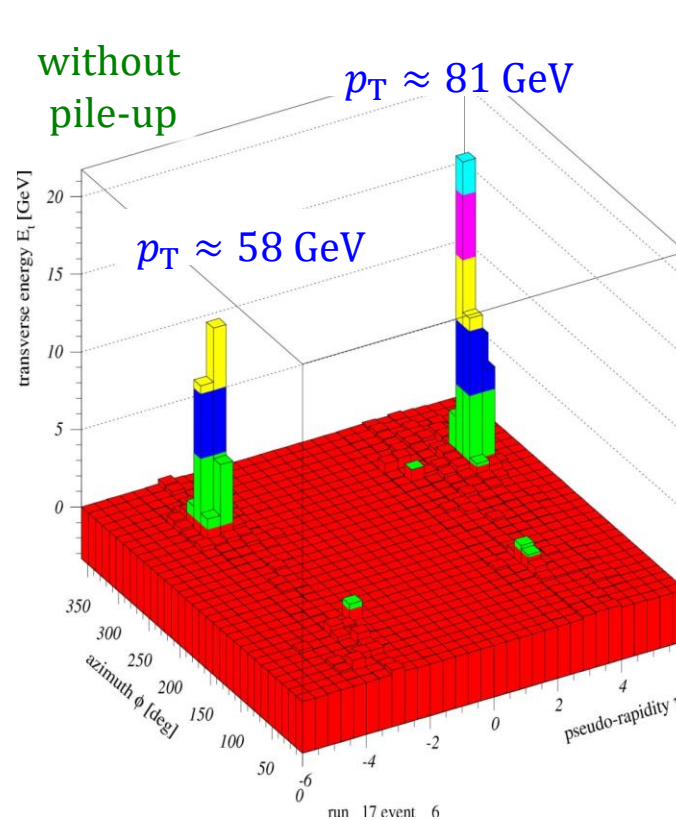
Out-of-time pile-up

Signal fragments from previous and following bunch crossing added to the in-time signal

Online mitigation strategy

Fast bipolar signal shaping measures current $I_0 = I(t = 0)$

Shape has integral zero – in-time pile-up is on average canceled by out-of-time pile-up due to negative weight of signal remnants



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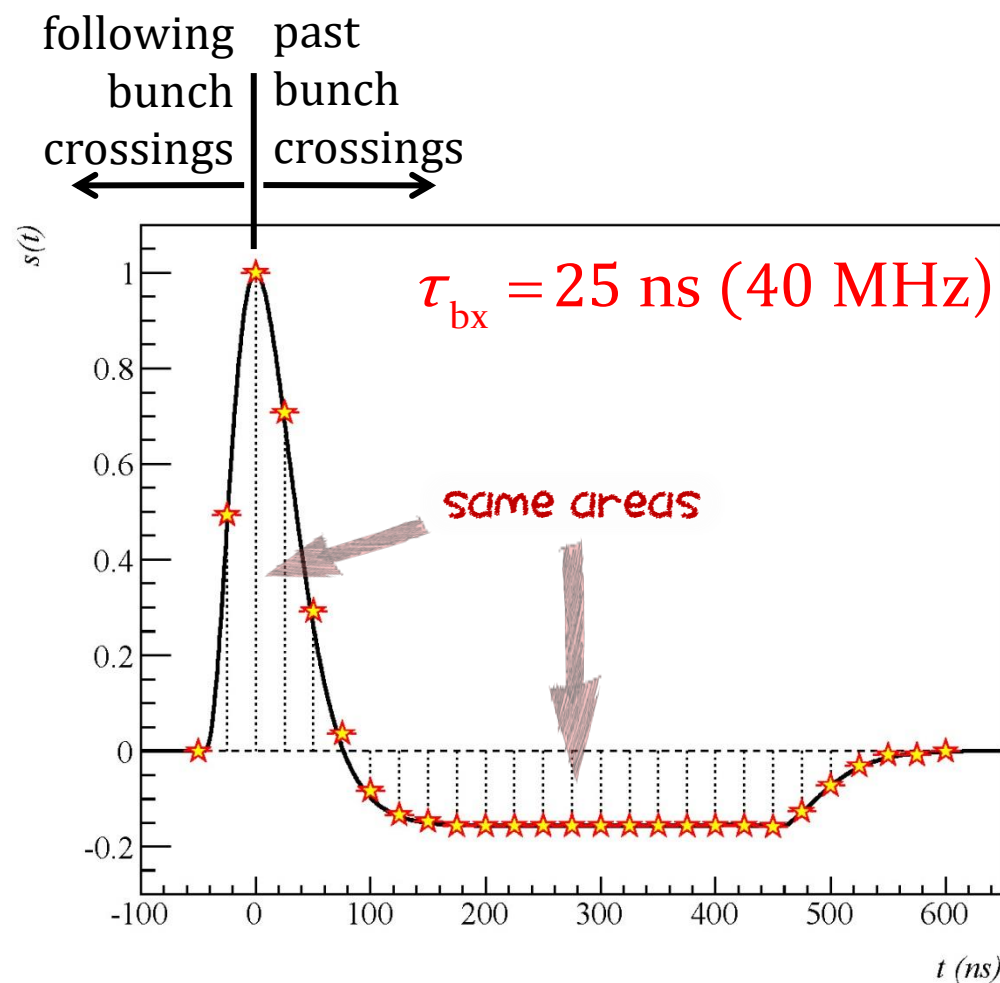
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Concept

W.E. Cleland and E.G. Stern, Nucl. Inst. Meth. **A338 (1994) 467.**

Unfold physics pulse shape from a measured pulse shape

Pulse shape measured in 4 digital samples s_i taken at $t_0 + 25$ ns, t_0 , $t_0 - 25$ ns, $t_0 - 50$ ns

Measured (digitized) shape is affected by transmission line characteristics and signal transfer functions introduces by e.g., impedance mismatches in the readout electronics

Linear filter with coefficients a_i constraint by pulse shape –

$$\sum_{i=1}^{N_s} a_i g_i = 1$$

g_i is normalized pulse shape in sample i at time t_i , with

$$\sum_{i=1}^{N_s} a_i \partial g_i / \partial t = 0$$

Digital filtering

Amplitude/peak $\propto I_0 \propto E_0$

$$A_{\text{peak}} = \sum_{i=1}^{N_s} a_i (s_i - p_i)$$

with the sample reading s_i and the pedestal reading p_i (ADC counts for $I = 0$ on input to electronics)

Peak time:

$$A_{\text{peak}} t_{\text{peak}} = \sum_{i=1}^{N_s} b_i (s_i - p_i)$$

Calibration system

Coefficients – constraint by injecting known current pulses in the electronic chain and transfer observed calibrated pulse shape to known physics pulse shapes

Pedestals – read samples without injecting current into the system and measure average and fluctuations (electronic noise)

Auto-correlation – signal history couples fluctuations (noise) in time sampled reading

Filter Coefficients

- a_i digital filter coefficient
- R_{ij} noise auto-correlation
- g_i normalized physics pulse shape:

Determined by:
 Known pulse shape
 Minimizing noise

to 1st order
 independent of
 time jitter!

$$\sum_{i=1}^{N_s} a_i g_i = 1$$

$$\sum_{i=1}^{N_s} a_i \frac{\partial g_i}{\partial t} = \sum_{i=1}^{N_s} a_i g'_i = 0$$

$$\sum_{i=1}^{N_s} \sum_{j=1}^{N_s} a_i a_j \sigma_i \sigma_j R_{ij} \rightarrow \min$$

$$a_i = \sum_{j=1}^{N_s} R_{ij}^{-1} (\lambda g_j - \mu g'_j) \left\{ \begin{array}{l} \lambda = \frac{1}{\Delta} \sum_{i=1}^{N_s} \sum_{j=1}^{N_s} R_{ij}^{-1} g'_i g'_j \\ \mu = \frac{1}{\Delta} \sum_{i=1}^{N_s} \sum_{j=1}^{N_s} R_{ij}^{-1} g_i g'_j \\ \Delta = \left(\sum_{i=1}^{N_s} \sum_{j=1}^{N_s} R_{ij}^{-1} g'_i g'_j \right) \cdot \left(\sum_{i=1}^{N_s} \sum_{j=1}^{N_s} R_{ij}^{-1} g_i g_j \right) - \left(\sum_{i=1}^{N_s} \sum_{j=1}^{N_s} R_{ij}^{-1} g_i g'_j \right)^2 \end{array} \right.$$

Lagrange Multipliers

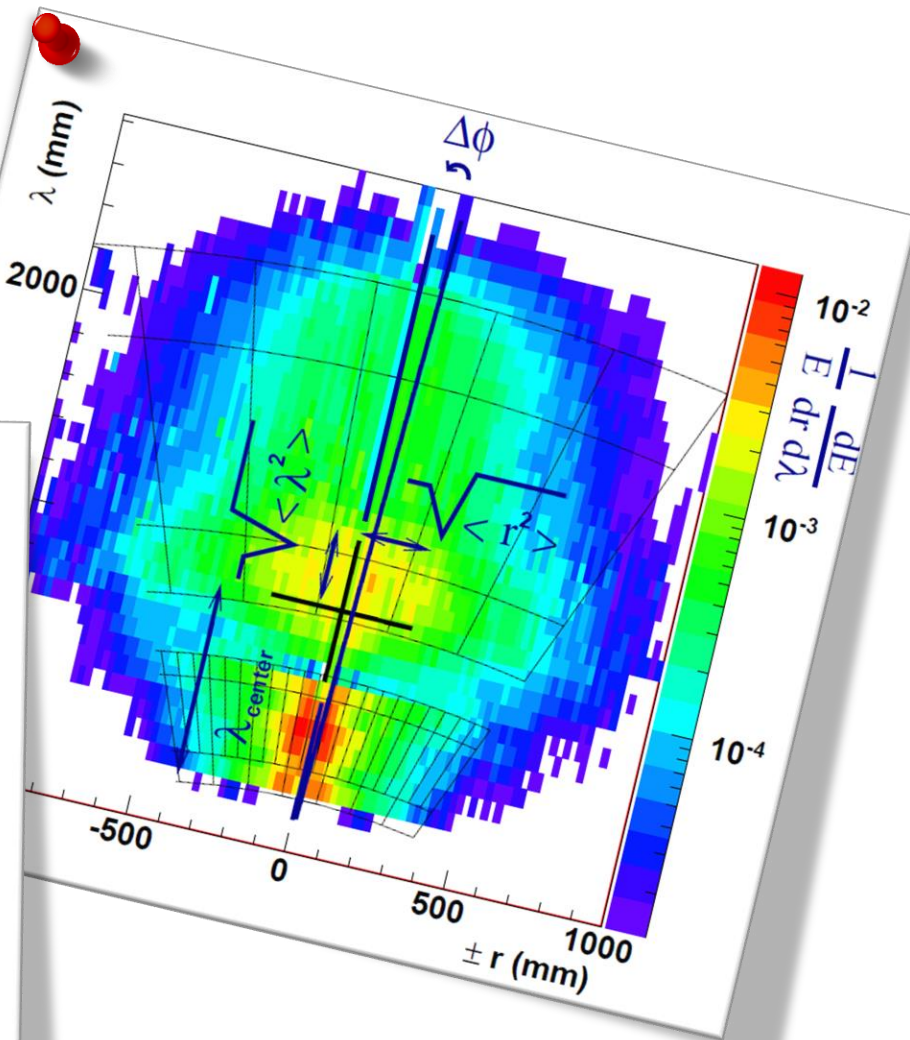
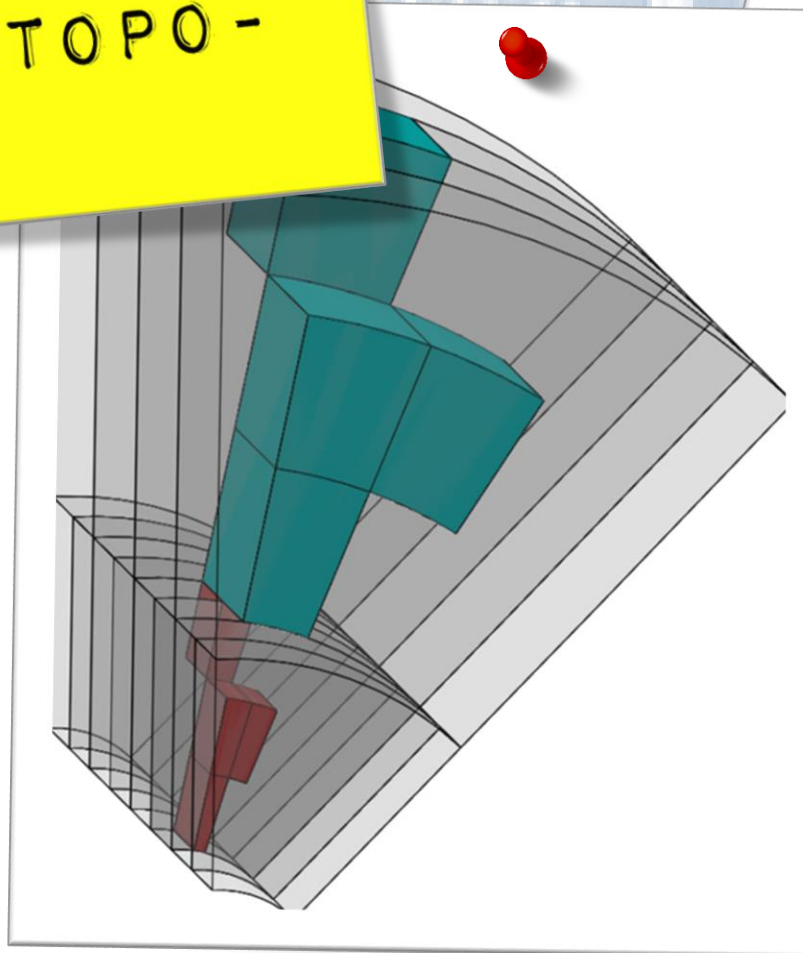
CALORIMETER
SIGNALS FOR
PHYSICS - TOPO-
CLUSTER AND TOPO-
TOWERS

ATLAS Coll., *Topological cell
clustering in the ATLAS calorimeters
and its performance in LHC Run 1*

[Eur.Phys.J.C.77 \(2017\) 490](#)

[arXiv:1603.02934 \[hep-ex\]](#)

INSPIRE^{HEP}



Calorimeter cell signals are collected into topological clusters

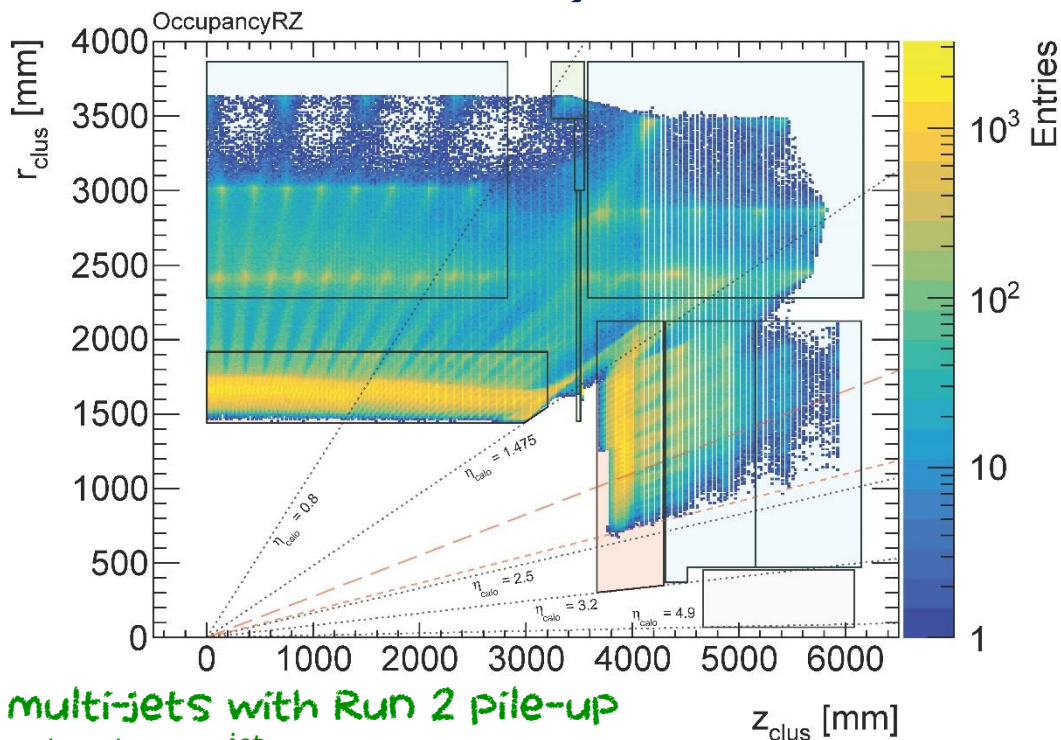
Collects signals from individual or close-by particle showers into 3-dim *energy blobs*

Connect cell signals following spatial signal significance patterns in three dimensions

Uses **seed** and **growth** control conditions, plus **envelope**

Default 4-2-0 configuration ($S = 4, N = 2, P = 0$)

Collects cells across subsystem boundaries



MC16d multi-jets with Run 2 pile-up

$|y_{\text{jet}}| < 2, p_{\text{T}}^{\text{jet}} > 20 \text{ GeV}$

$$|E_{\text{cell}}^{\text{EM}}| > S \sigma_{\text{noise,cell}}^{\text{EM}}$$

$$|E_{\text{cell}}^{\text{EM}}| > N \sigma_{\text{noise,cell}}^{\text{EM}}$$

$$|E_{\text{cell}}^{\text{EM}}| > P \sigma_{\text{noise,cell}}^{\text{EM}}$$

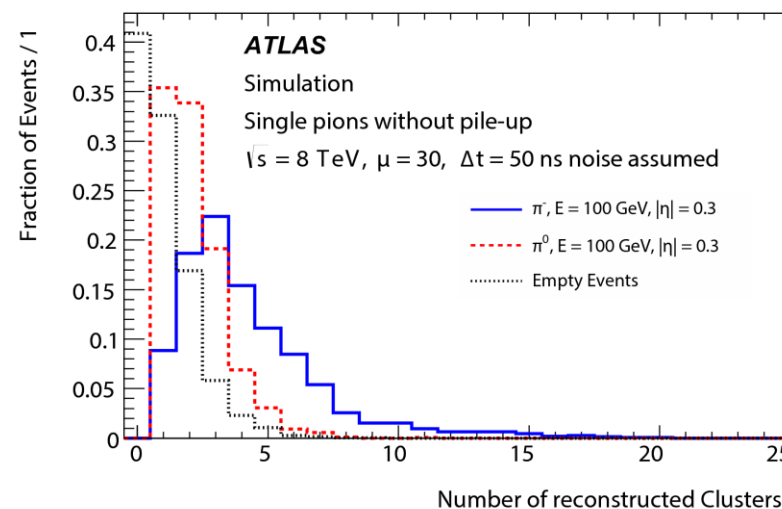
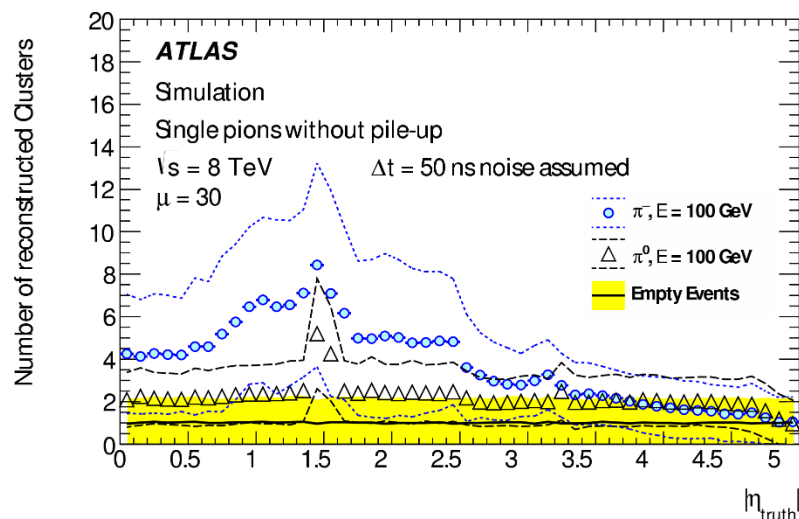
$$\sigma_{\text{noise}} = \begin{cases} \sigma_{\text{noise}}^{\text{electronic}} & \text{< 2011} \\ \sqrt{(\sigma_{\text{noise}}^{\text{electronic}})^2 + (\sigma_{\text{noise}}^{\text{pile-up}})^2} & \text{otherwise} \end{cases}$$

More on formation

Growing algorithm requires splitting between local signal maxima

Guided by spatial signal structures observed in the high granularity EM calorimeter

Splitting efficiency depends on calorimeter readout granularity



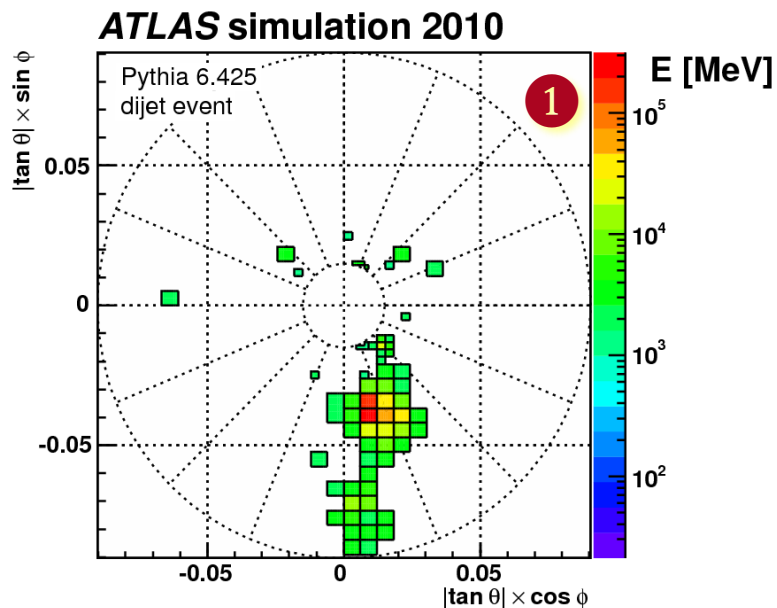
Single pions, no pile-up,
noise thresholds set for
30 interactions/bunch
crossing, bunch distance
50 ns (early Run 1)

Shower dependent topo-cluster yield

Compact EM showers split into fewer clusters than hadronic showers

Collision environment: topo-clusters do not represent individual particles, they are a proxy for energy flow generated by particles!

Topo-cluster Formation in the FCal₁ Module



Seed cells

No pile-up!

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 4$$

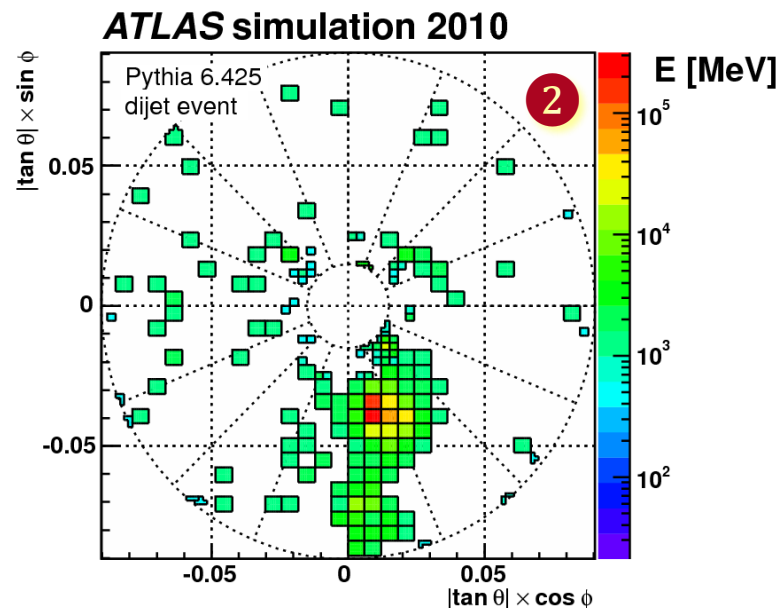
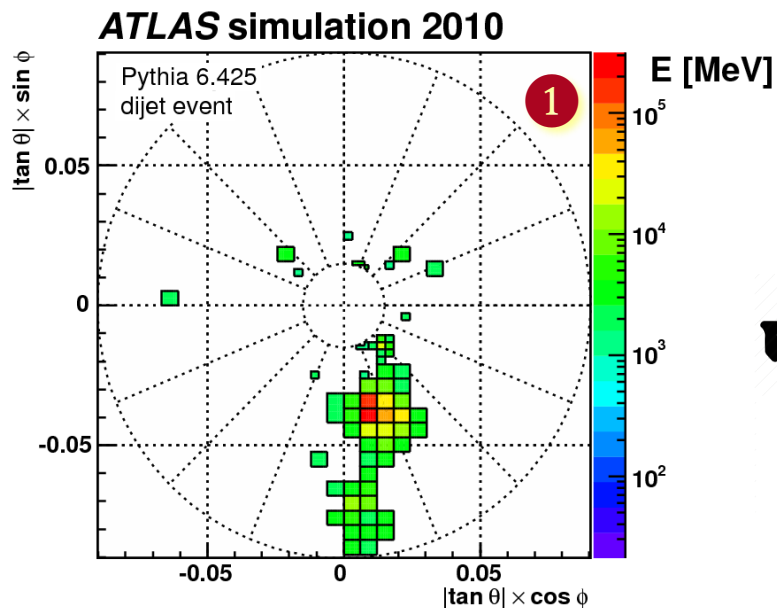
1 Initial seed collection

All cells above seed threshold

All these cells will be clustered

No need for neighbors with large signal significance

Topo-cluster Formation in the FCal₁ Module



Seeding

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 4$$

Growth control cells

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 2$$

No pile-up!

1 Initial seed collection

All cells above seed threshold

All these cells will be clustered

No need for neighbors with large signal significance

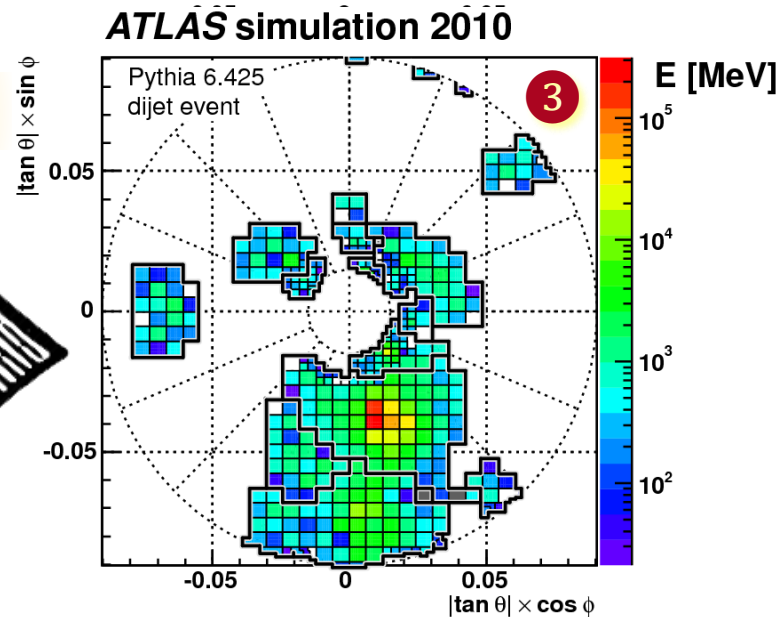
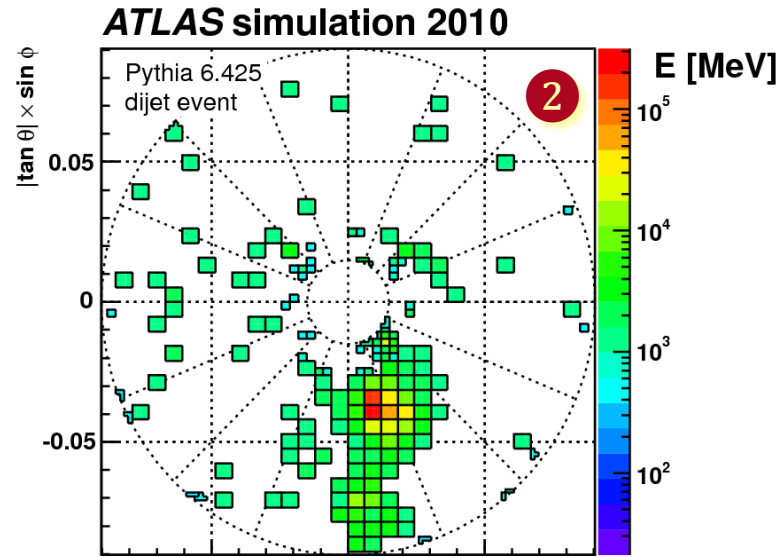
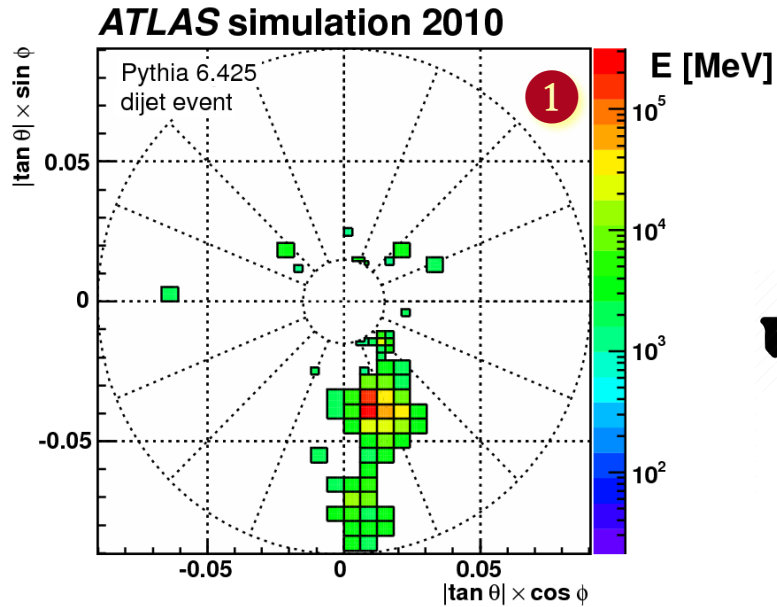
2 Cells above growth control threshold

Cells potentially contributing to cluster growth

Not all of them end up in one!

No requirement of proximity to other significant signal here

Topo-cluster Formation in the FCal₁ Module



1 Initial seed collection

All cells above seed threshold

All these cells will be clustered

No need for neighbors with large signal significance

2 Cells above growth control threshold

Cells potentially contributing to cluster growth

Not all of them end up in one!

No requirement of proximity to other significant signal here

3 Applying neighbor requirement & splitting

All cells collected into topoclusters

According to the growth control rules

Splitting applied

Distinguish energy flows induced by particles in the jet

Seeding

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 4$$

Growth control

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 2$$

Envelope & splitting

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 0$$

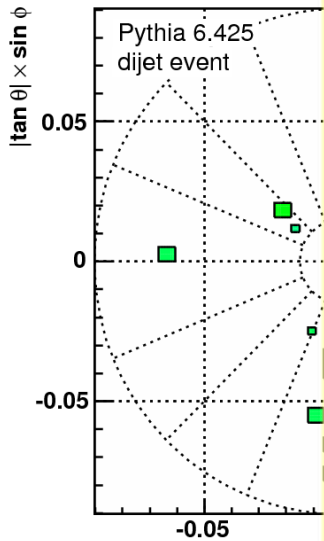
No pile-up!



Topo-cluster Formation in the FCal₁ Module

ATLAS simulation 2010

ATLAS simulation 2010



Actual implementation in online and offline software deviates from the simplified sequence shown here! It is highly efficient, without sequential cell collections (repeated loops over cells), with only one iteration on all ~188,000 cells needed for formation, followed by one iteration on initial list of (proto-) clusters for splitting!

Seeding

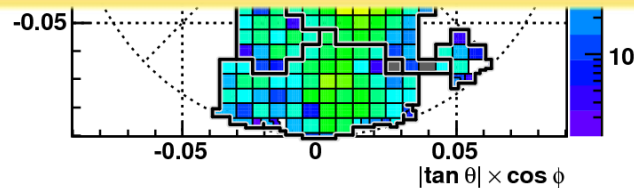
$$|E_{\text{cell}}^{\text{EM}}| / \sigma_n^{\text{EM}}$$

Growth

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_n^{\text{EM}}$$

Envelope & splitting

$$|E_{\text{cell}}^{\text{EM}}| / \sigma_{\text{noise,cell}}^{\text{EM}} > 0$$



Peter Loch

Initial cell collection

seed threshold
cells will be

neighbors with
significance

growth

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y contributing
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em end up in one!
nent of proximity
nificant signal here

ghbor splitting

ed into topo-

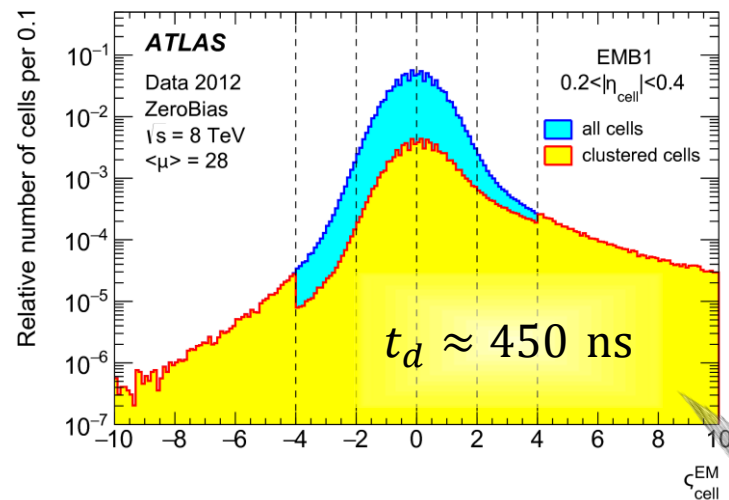
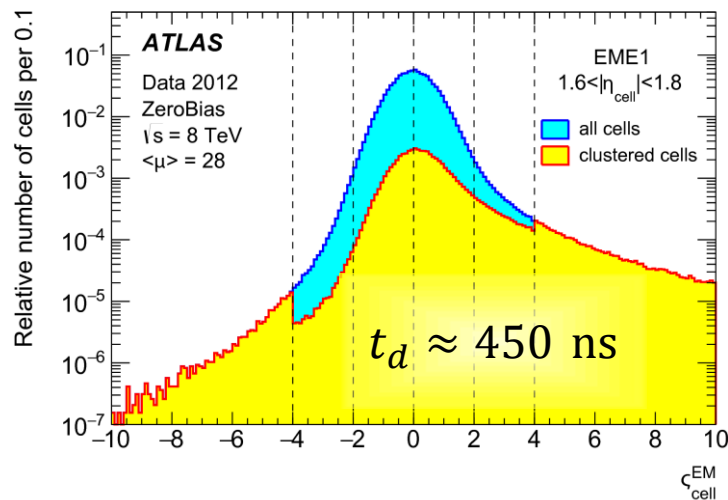
o the growth

control rules

Splitting applied

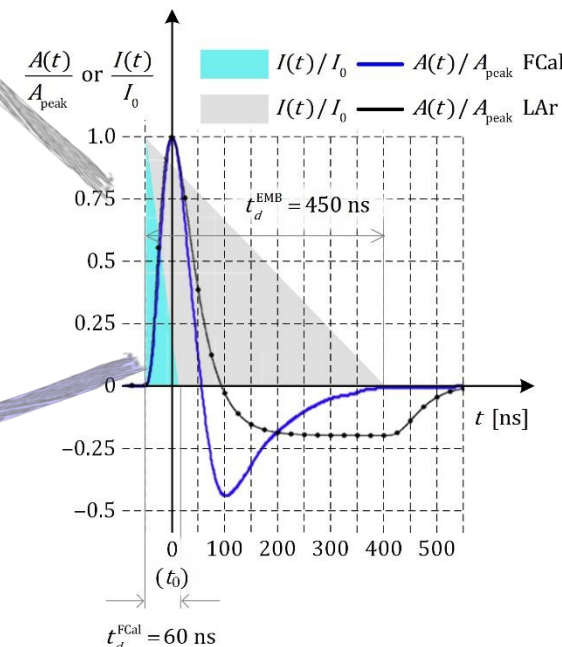
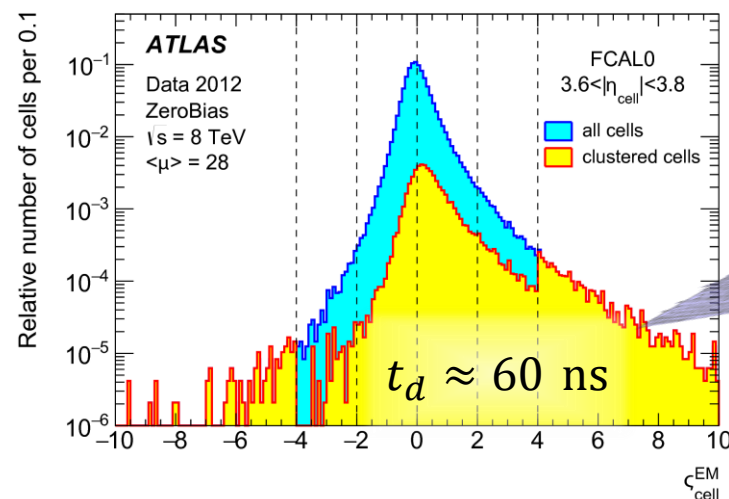
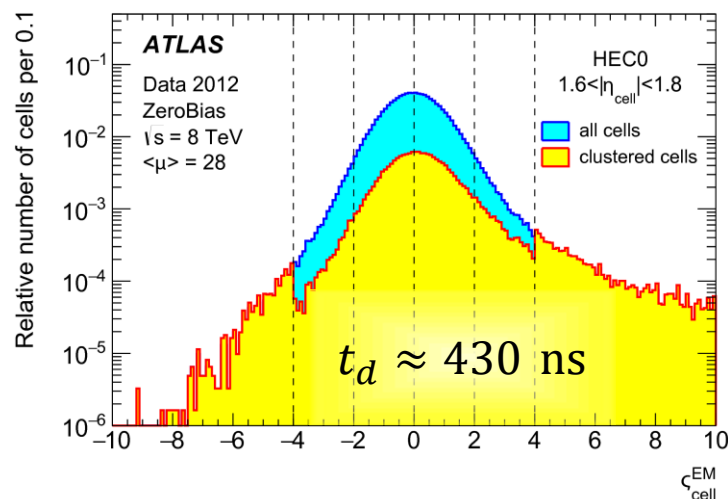
Distinguish energy flows
induced by particles in the jet

Signal Significance for Clustered Cells in ZeroBias Data



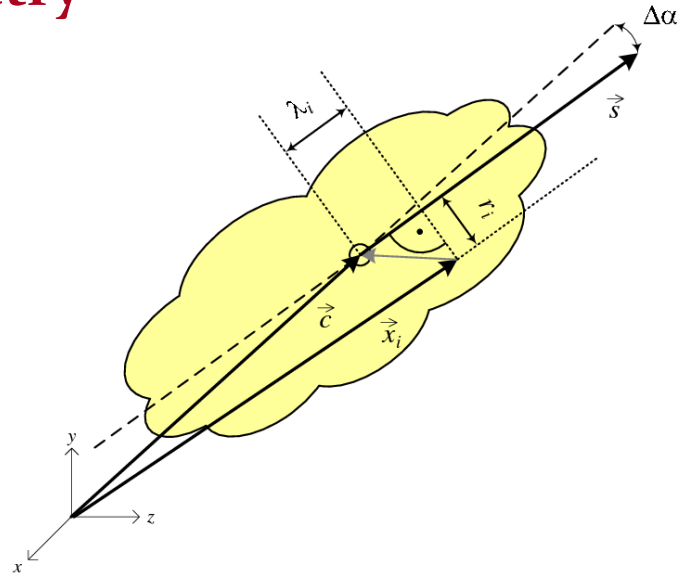
Tails in cell significance introduced by physics – with contributions from in-time minimum bias collisions and correlations in out-of-time pile-up signal remnants

2012 data with pile-up!



variations in tails partly due to differences in drift time (LAR gap sizes) leading to different pulse shapes

Principal geometry



\vec{c} centre of gravity of cluster, measured from the nominal vertex ($x = 0, y = 0, z = 0$) in ATLAS

\vec{x}_i geometrical centre of a calorimeter cell in the cluster, measured from the nominal detector centre of ATLAS

\vec{s} particle direction of flight (shower axis)

$\Delta\alpha$ angular distance $\Delta\alpha = \angle(\vec{c}, \vec{s})$ between cluster centre of gravity and shower axis \vec{s}

λ_i distance of cell at \vec{x}_i from the cluster centre of gravity measured along shower axis \vec{s} ($\lambda_i < 0$ is possible)

r_i radial (shortest) distance of cell at \vec{x}_i from shower axis \vec{s} ($r_i \geq 0$)

Cluster moments (features)

Energy-weighted first and second moments

Lateral and longitudinal extensions (normalized and absolute)

Signal density measure

Signal relevance and compactness measures

Signal significance

EM/HAD energy sharing

Location & environment

Position and direction

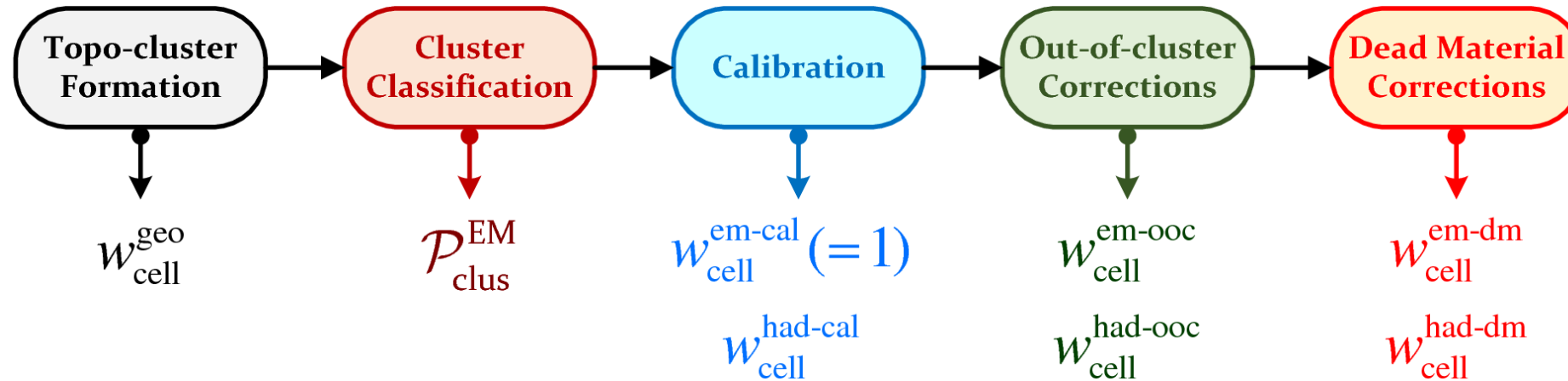
Depth of topo-cluster in calorimeter

Distance from vertex

Angular deflection from vertex direction

Environment

Isolation



Local cluster calibration

Uses cluster shape and location to apply appropriate calibrations

Observables are proxies for shower shapes – sensitive to electromagnetic or hadronic shower development

Calibration reference is deposited energy at cluster location

Additional corrections for nearby dead material losses and out-of-cluster losses (includes isolation measure)

All calibration functions are derived from full single particle simulations

Direction and energy scans with π^0 , π^\pm – **no pile-up included**

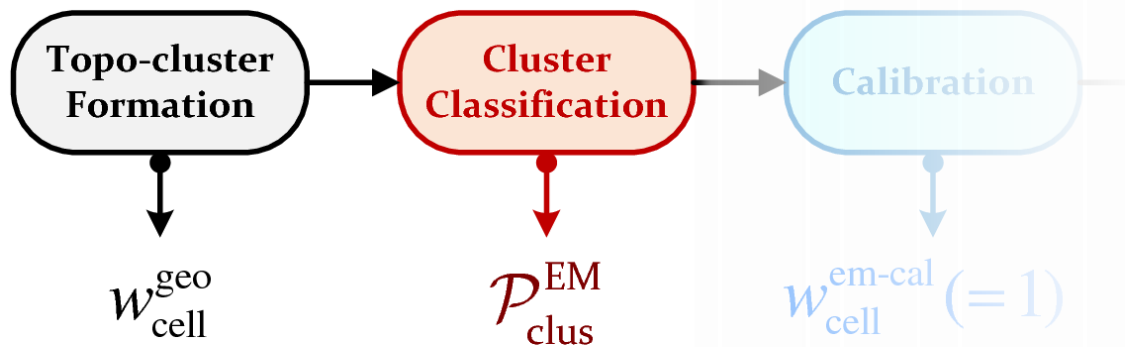
Deposited energies collected in clusters formed with $\langle\mu\rangle$ dependent $\sigma_{\text{noise,cell}}^{\text{EM}}$

Calibration factors stored in multi-dimensional lookup tables

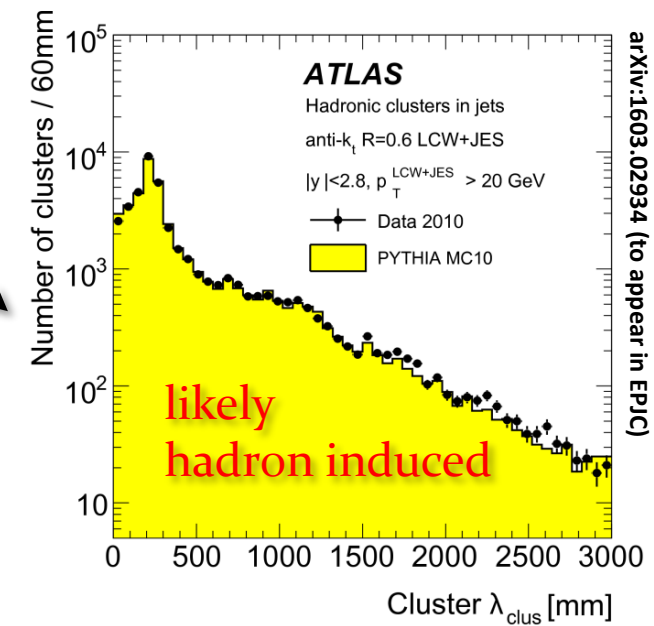
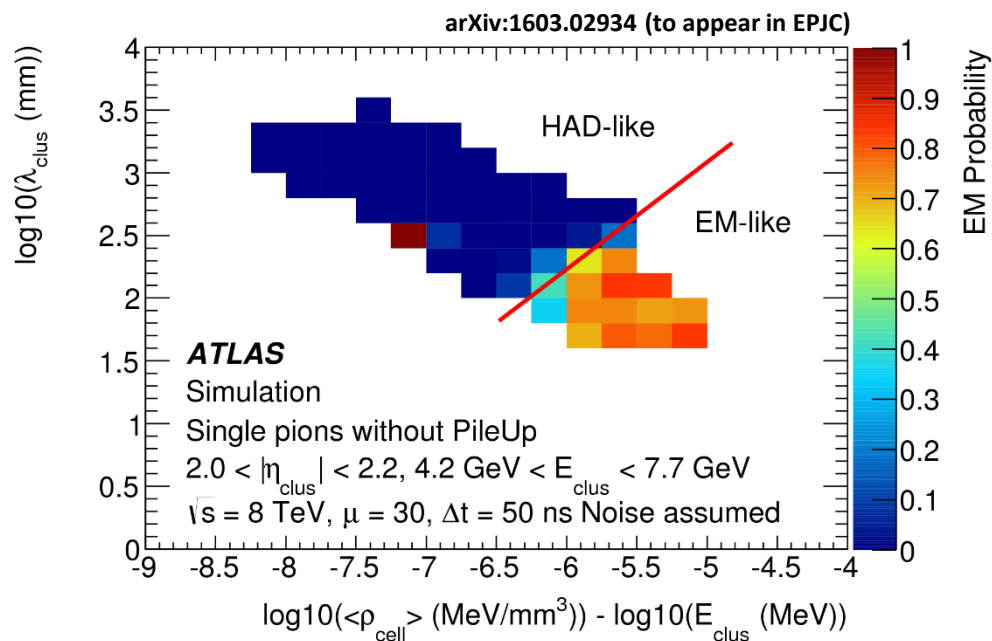
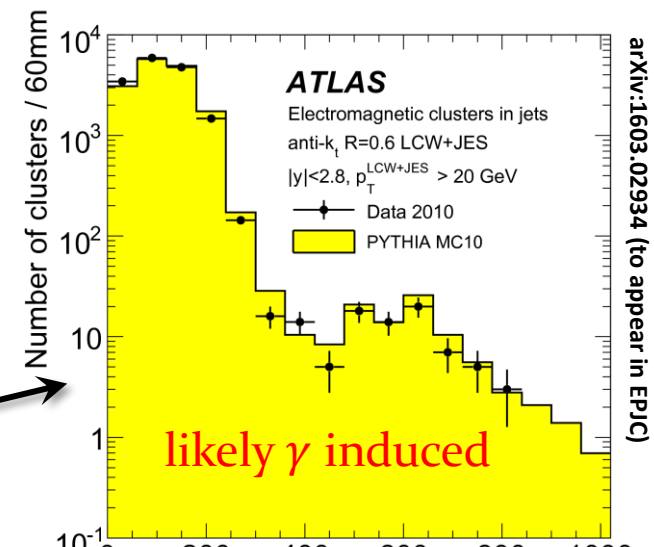
Final cluster representation

Massless four-momentum ($E, \eta, \varphi, m = 0$) on EM and LCW scale

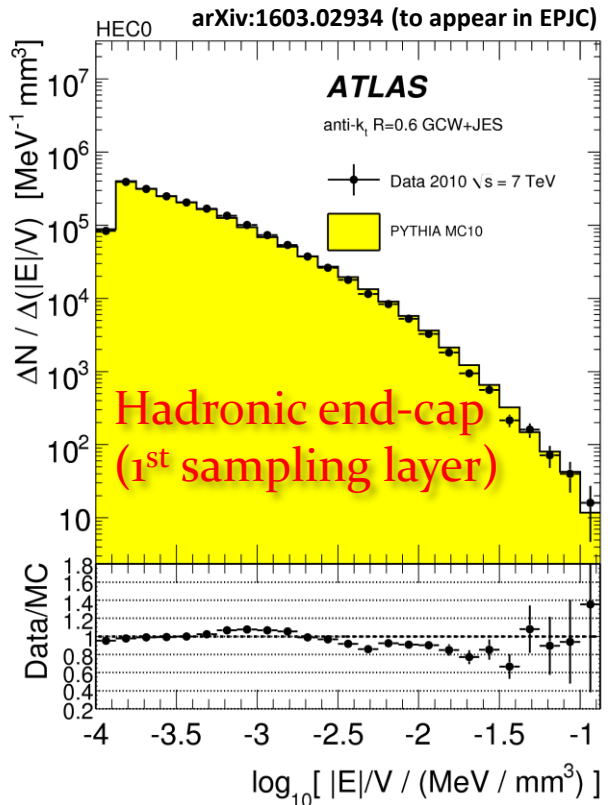
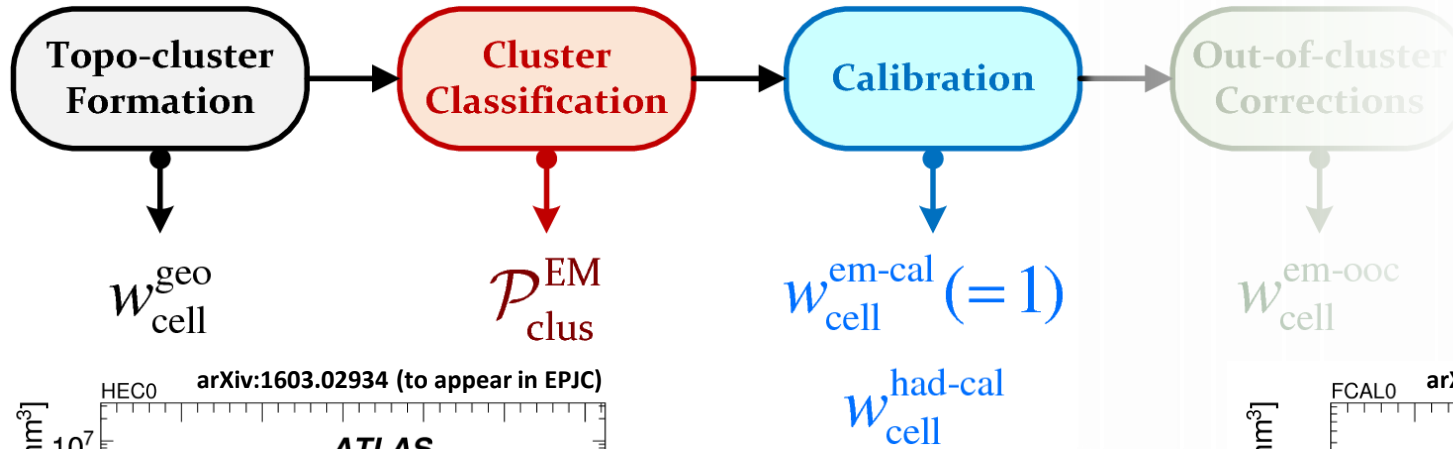
LCW: Classification



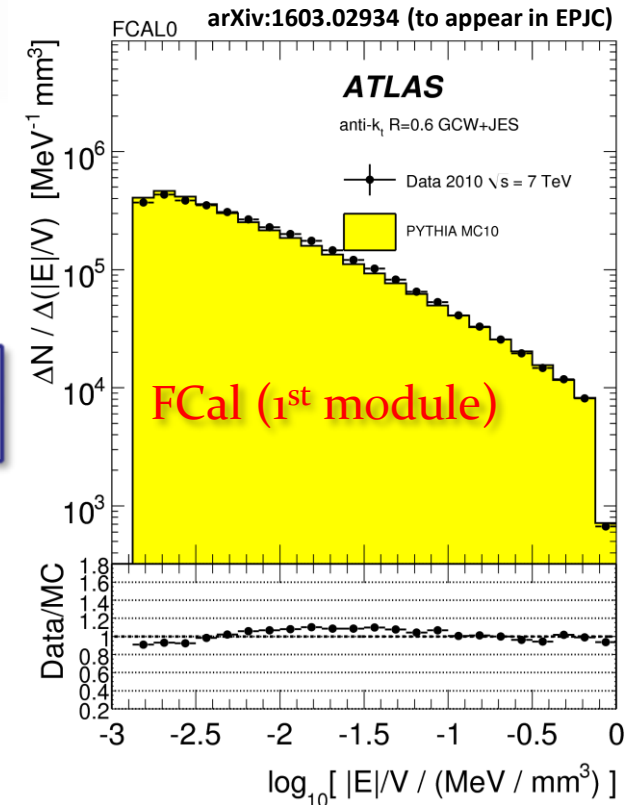
Jet fragmentation modeling
 ⊗ shower starting point & longitudinal profile



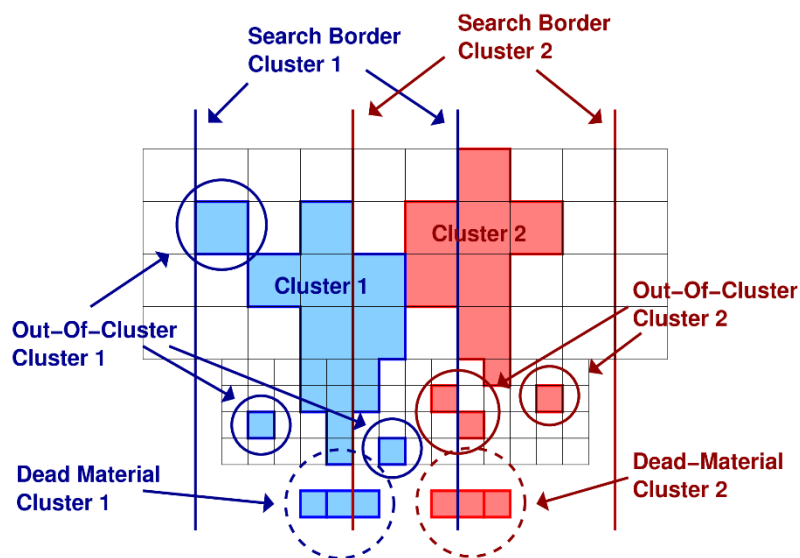
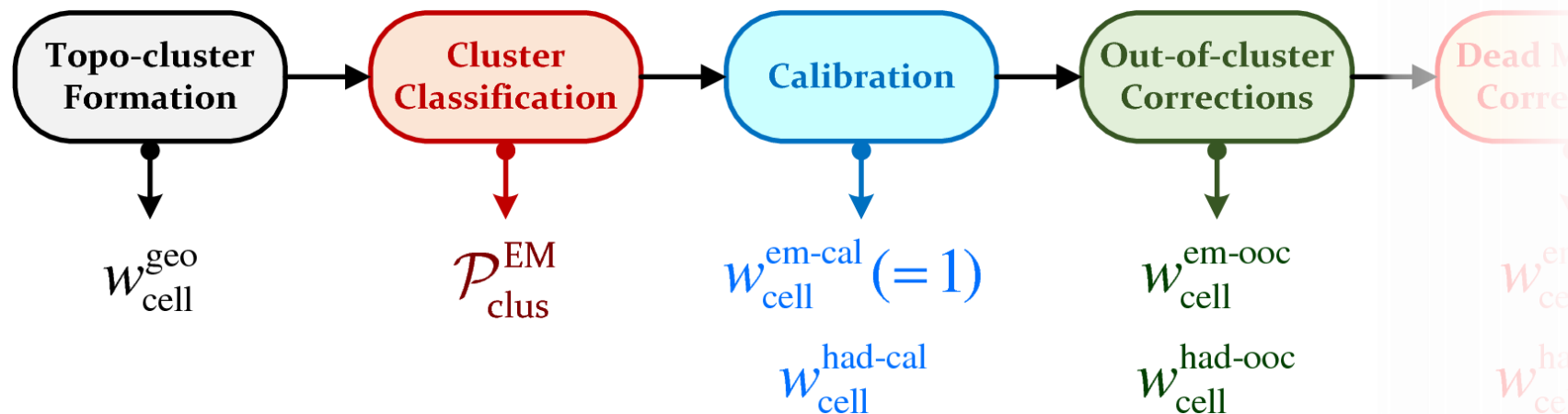
LCW: Hadronic Calibration



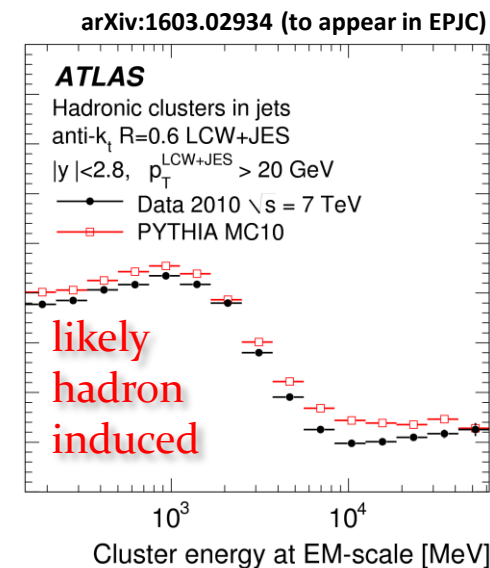
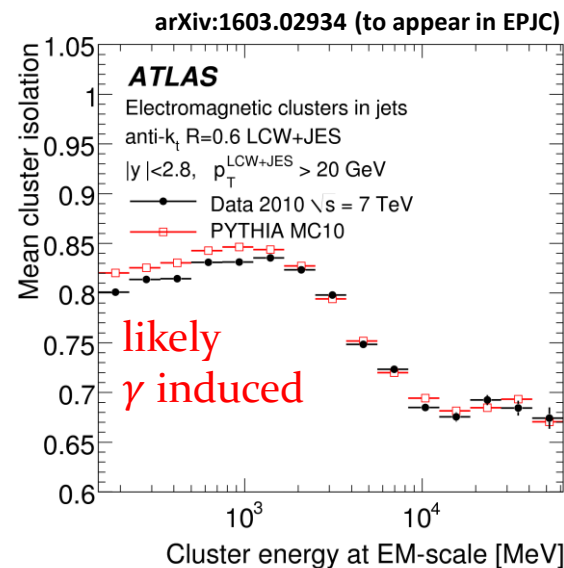
Jet fragmentation modeling
⊗ shower development



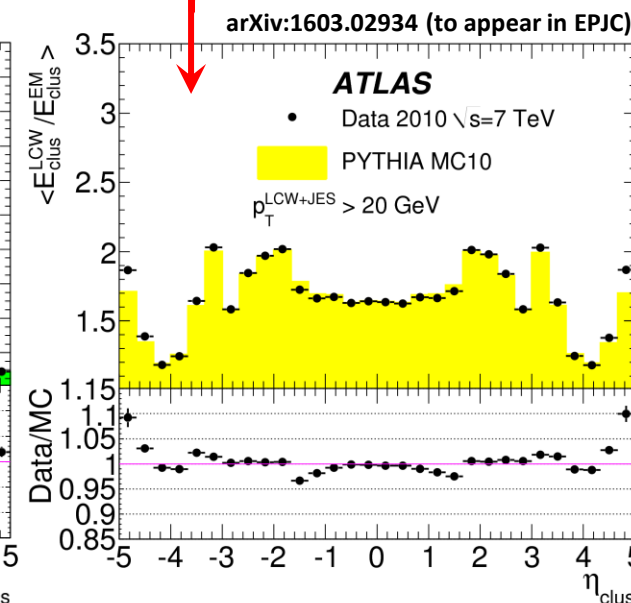
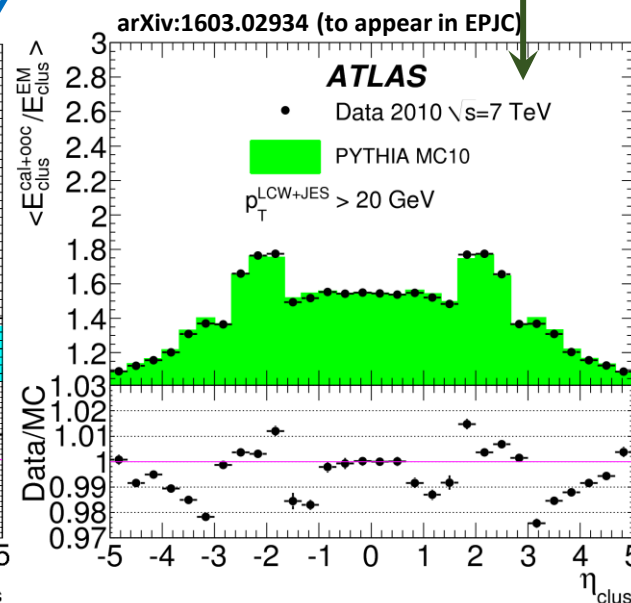
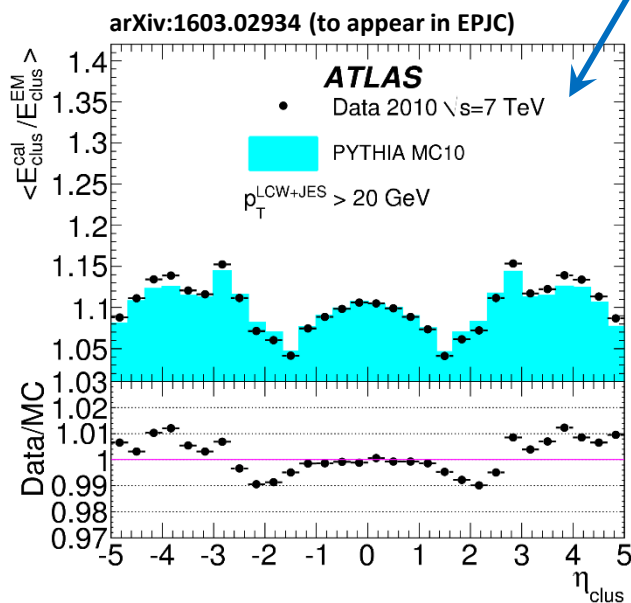
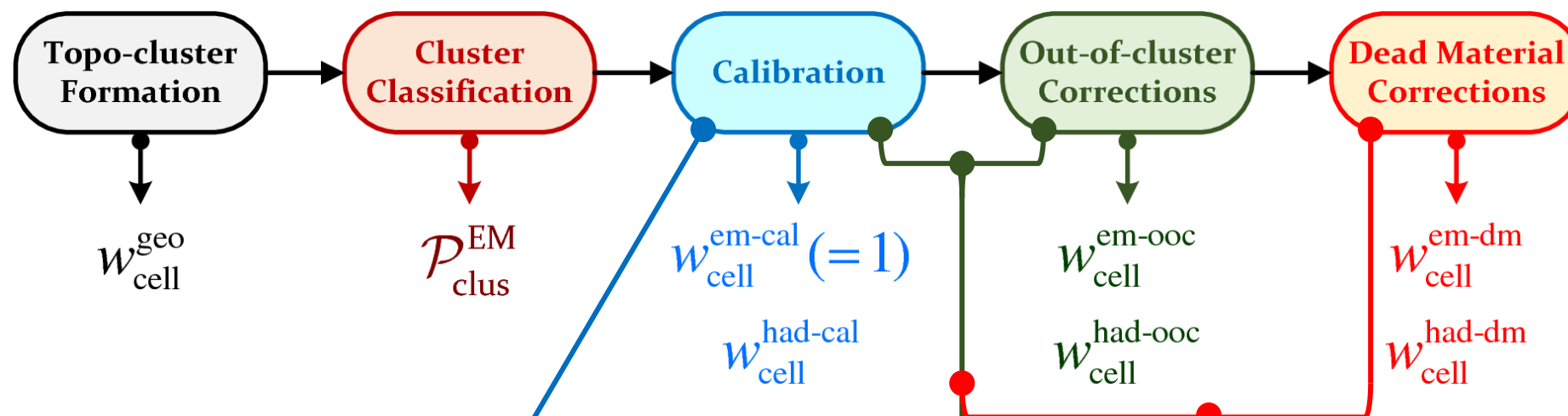
LCW: Out-of-cluster Correction

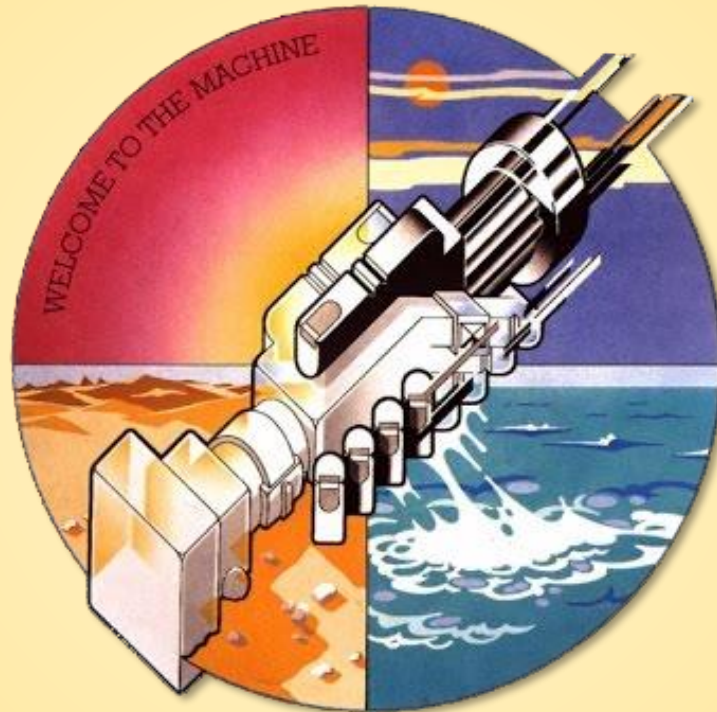


arXiv:1603.02934 (to appear in EPJC)



LCW: Dead Material Correction





WELCOME TO THE MACHINE !

ATLAS Calorimeters

Successfully operating since 2010

Highly efficient and stable system

Highly optimized for total absorption

Precise energy flow reconstructions for jets, event shapes, hadronic recoil etc. in both pp (with increasing levels of pile-up) and heavy ion collision environments

Effective signal definition – topo-clusters and topo-towers

Drop a large amount of “noise only” cells at early stage of reconstruction

Pile-up suppression due to detector readout and adaptive signal significance thresholds

Present day local hadronic calibration needs improvements – machine-learning-based approaches under study (see recent JetEtMiss PubNote)

Future challenges

Hi-lumi LHC pile-up

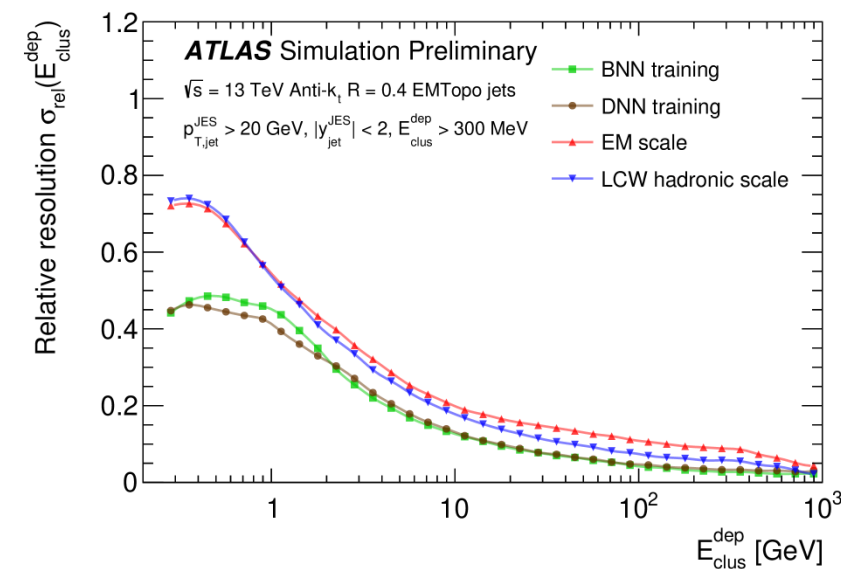
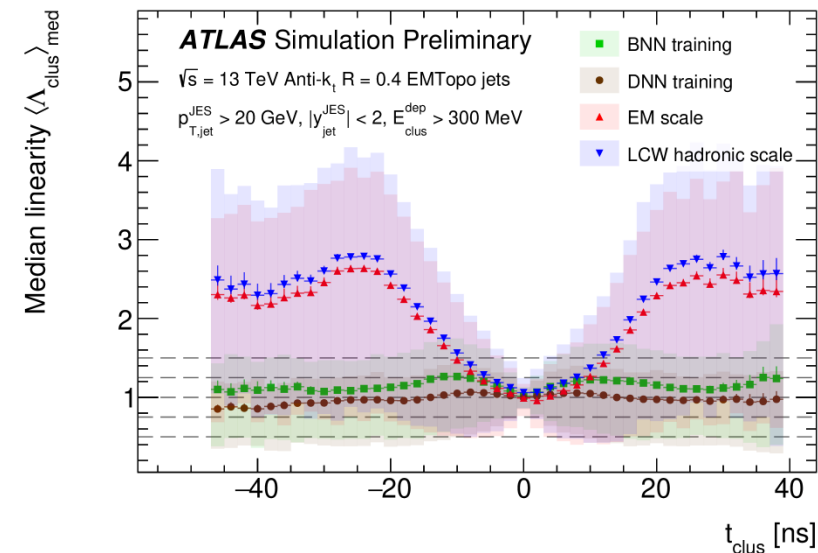
Cluster formation/splitting sufficient to maintain precision in energy flow reconstruction?

More use of/combination with topo-towers?

Machine learning for cluster formation and calibration

Several approaches under study

Biases and gains not yet obvious for formation,



Next for me.... Looking for new experiment!

❖ Expected final state components:

Next for me.... Looking for new experiment!

❖ Expected final state components:



* Not observed yet – needs clean up and calibration

Next for me.... Looking for new experiment!

❖ Expected final state components:



※ Not observed yet – needs clean up and calibration



※ Fine tuning and calibration (observed!)

Next for me.... Looking for new experiment!

❖ Expected final state components:



※ Not observed yet – needs clean up and calibration



※ Fine tuning and calibration (observed!)

❖ Leadership & location



※ Research & Spokesperson (elected for life, already in place)

※ Location

Next for me.... Looking for new experiment!

❖ Expected final state components:



※ Not observed yet – needs clean up and calibration



※ Fine tuning and calibration (observed!)

❖ Leadership & location



※ Research & Spokesperson (elected for life, already in place)



※ Location

Additional Material

Click here!



LCW Cell Weights

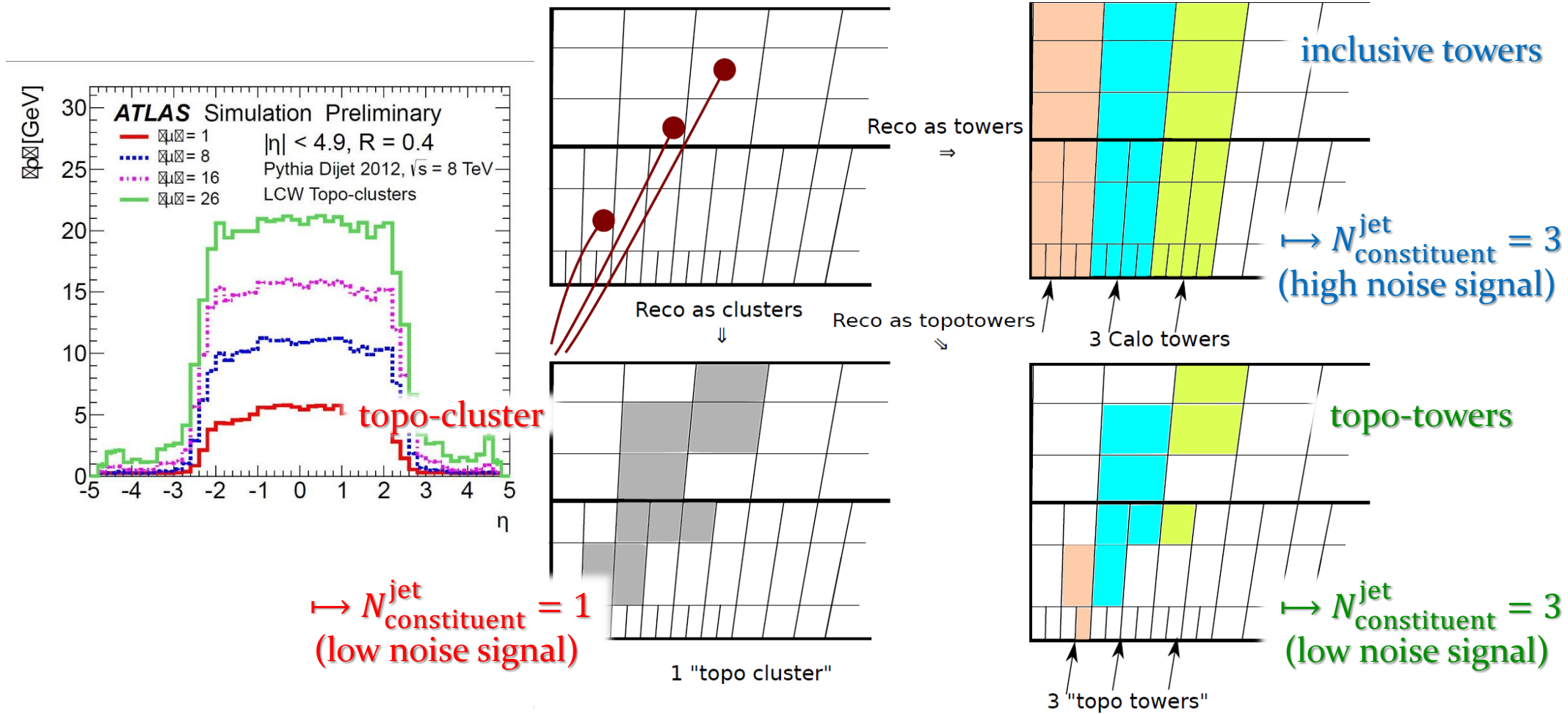
- Full topo-cluster calibration is projected back on cell weights
 - EM likelihood $\mathcal{P}_{\text{clus}}^{\text{EM}}$ defines EM/HAD mixture of factors
 - $\mathcal{P}_{\text{clus}}^{\text{EM}} = 1$ for pure EM clusters, $\mathcal{P}_{\text{clus}}^{\text{EM}} = 0$ for pure HAD
 - Hadronic calibration & dead material correction produce individual cell weights

Procedure	Parameters	Effective cell signal weight after each step
(1) Cluster formation	$w_{\text{cell}}^{\text{geo}}$	$w_{\text{cell}}^{\text{geo}}$
(2) Classification	$\mathcal{P}_{\text{clus}}^{\text{EM}}$	$w_{\text{cell}}^{\text{geo}}$
(3) Calibration	$w_{\text{cell}}^{\text{em-cal}} (= 1)$ $w_{\text{cell}}^{\text{had-cal}}$	$w_{\text{cell}}^{\text{geo}} \left[\mathcal{P}_{\text{clus}}^{\text{EM}} w_{\text{cell}}^{\text{em-cal}} + (1 - \mathcal{P}_{\text{clus}}^{\text{EM}}) w_{\text{cell}}^{\text{had-cal}} \right]$
(4) Out-of-cluster	$w_{\text{cell}}^{\text{em-ooc}}$ $w_{\text{cell}}^{\text{had-ooc}}$	$w_{\text{cell}}^{\text{geo}} \prod_{\kappa \in \{\text{cal}, \text{ooc}\}} \left[\mathcal{P}_{\text{clus}}^{\text{EM}} \cdot w_{\text{cell}}^{\text{em-}\kappa} + (1 - \mathcal{P}_{\text{clus}}^{\text{EM}}) \cdot w_{\text{cell}}^{\text{had-}\kappa} \right]$
(5) Dead material	$w_{\text{cell}}^{\text{em-dm}}$ $w_{\text{cell}}^{\text{had-dm}}$	$w_{\text{cell}}^{\text{LCW}} = w_{\text{cell}}^{\text{geo}} \prod_{\kappa \in \{\text{cal}, \text{ooc}, \text{dm}\}} \left[\mathcal{P}_{\text{clus}}^{\text{EM}} w_{\text{cell}}^{\text{em-}\kappa} + (1 - \mathcal{P}_{\text{clus}}^{\text{EM}}) w_{\text{cell}}^{\text{had-}\kappa} \right]$

Calorimeter Topo-tower Revival

- Provide different view on energy flow

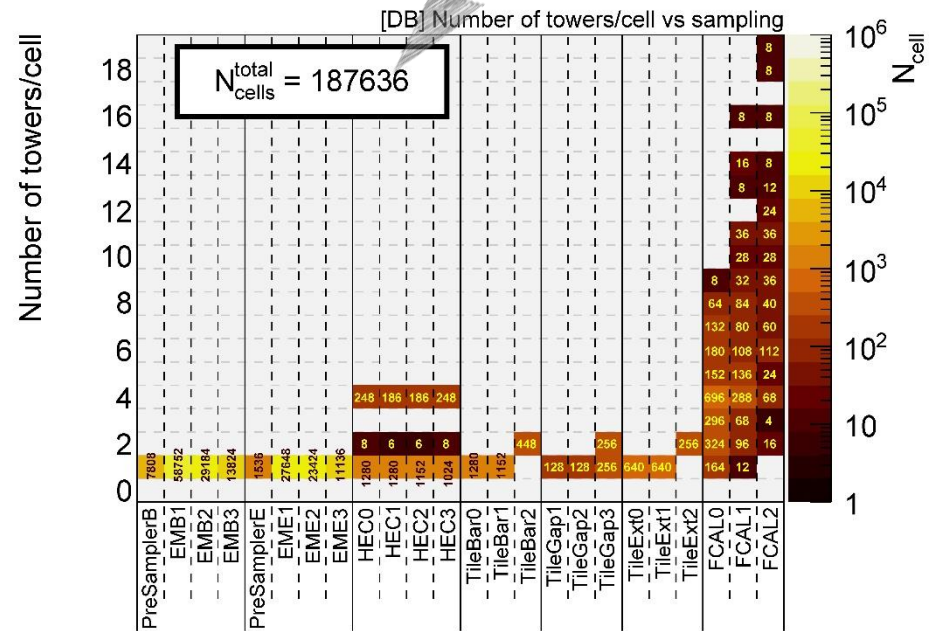
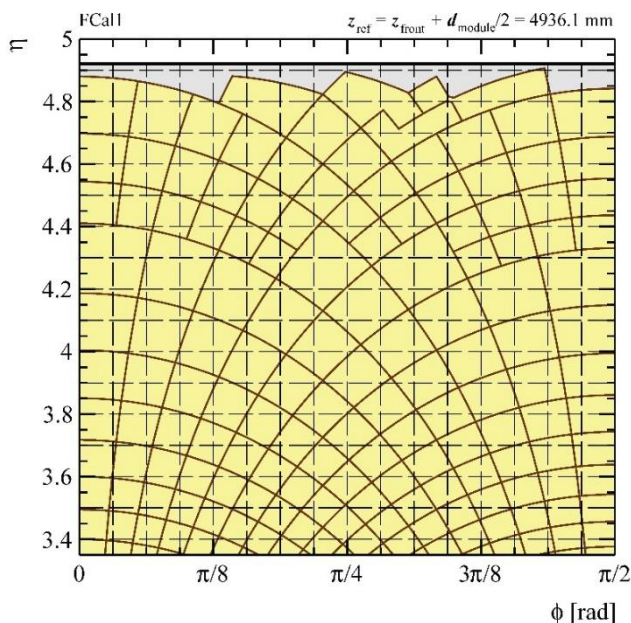
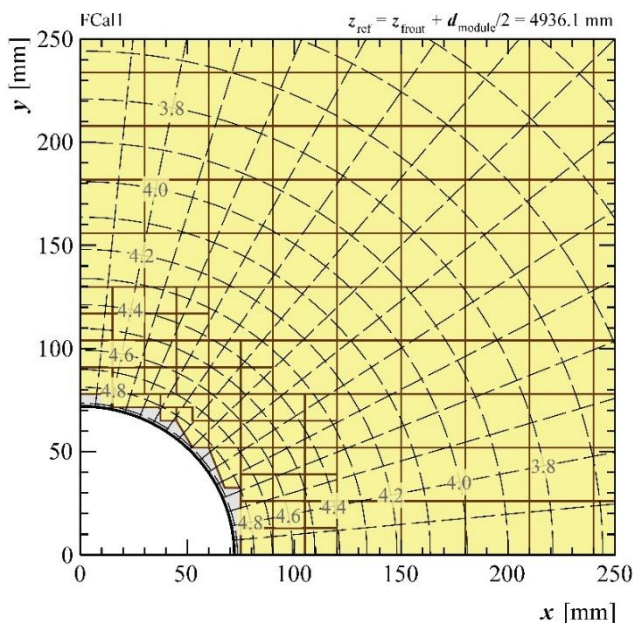
(from P.A. Delsart)



Calorimeter Topo-tower Revival

- New for Run3
 - Drop of calorimeter granularity at $|\eta| > 2.5$
 - Few topo-clusters formed from large cells
 - Energy flow highly discrete – large voids in (y, φ) plane, sparse four-momentum occupancy
 - Median transverse momentum density measurement deteriorates
- Re-introduce calorimeter towers
 - Imposes different view on non-projective FCal readout
 - Well-defined catchment area for area-based pile-up suppression algorithms $\Delta y \times \Delta \varphi = 0.1 \times 0.1$
 - Uses only cells from topo-clusters (noise suppression identical)

Misses 16 cells in FCal3 with > 19 towers (not included in graph but mapped in database)



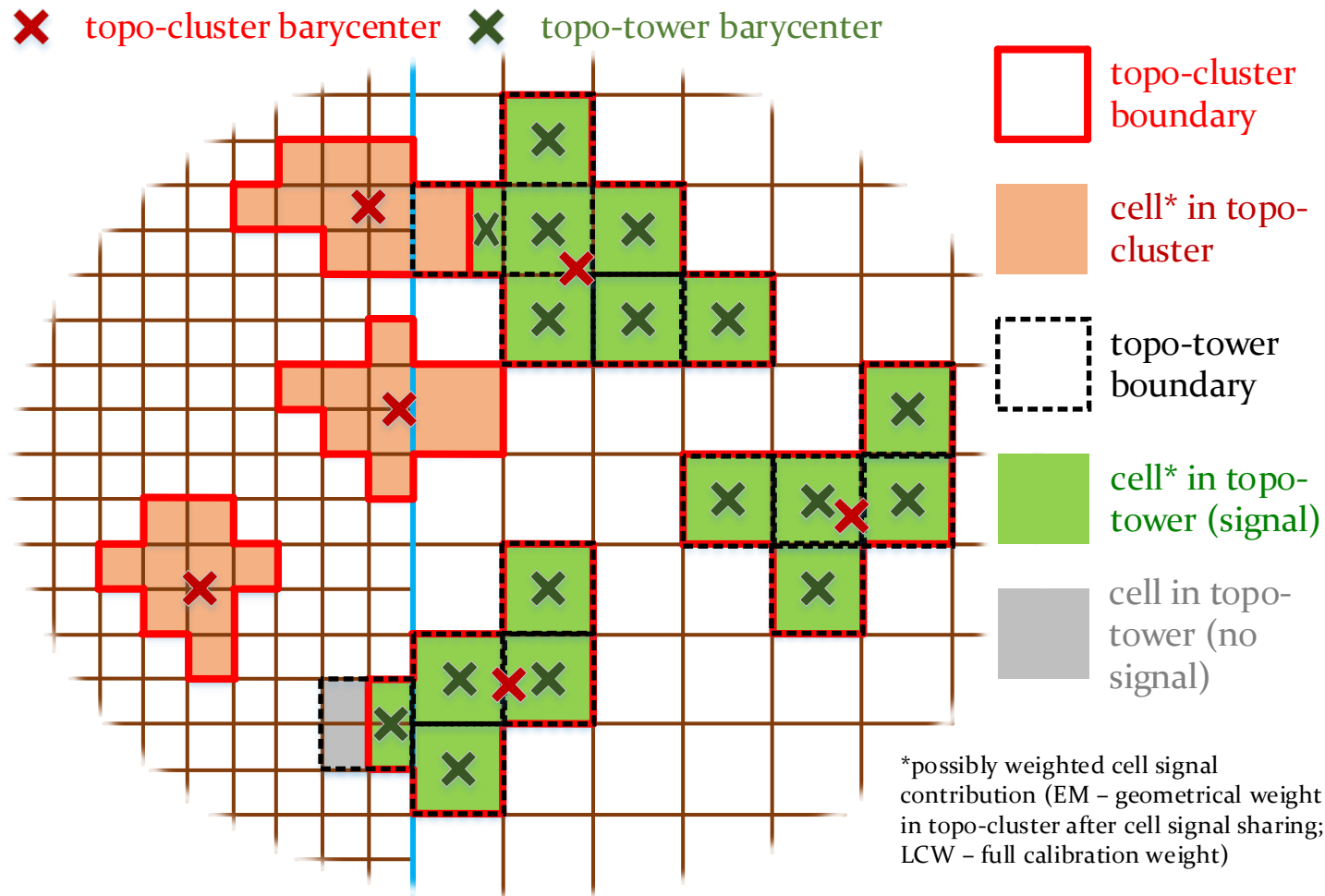
Calorimeter Topo-towers

- Considerations

- Topo-towers are represented by the same data object as topo-clusters
 - Possible to add moments (not all are meaningful for towers)
- Large amount of data to be stored
 - Inclusive towers (all cells) completely impractical
 - Too many topo-towers (from cells after noise suppression)

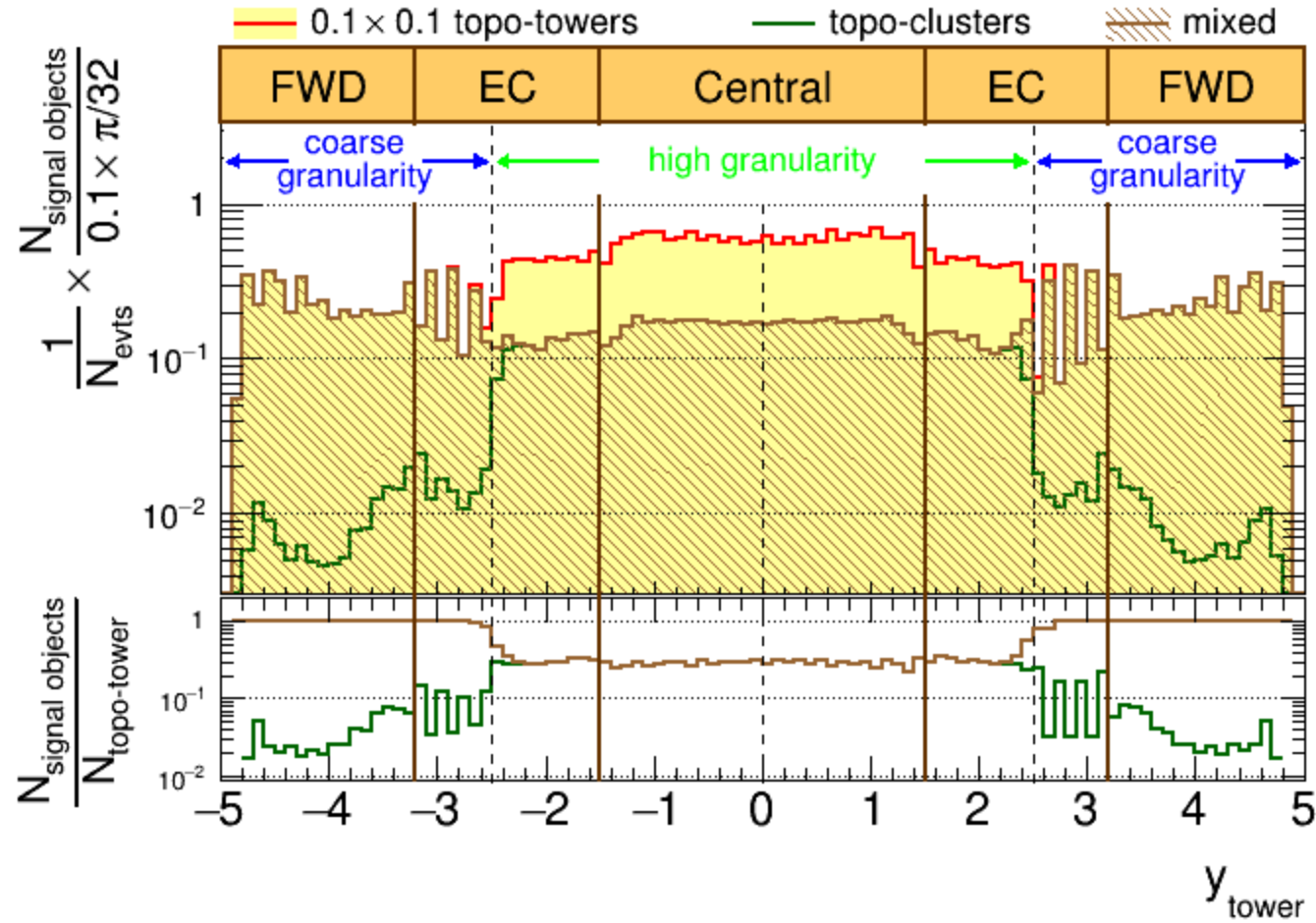
- Topo-towers in the AOD

- Only for $|\eta| > 2.5$ - ForwardTopoTowers
 - No (cell) signal overlap with topo-clusters with $|\eta| < 2.5$ – can be combined for unambiguous energy flow reconstruction
- Ghost-associated with jets
 - Support pile-up jet suppression outside of tracking acceptance

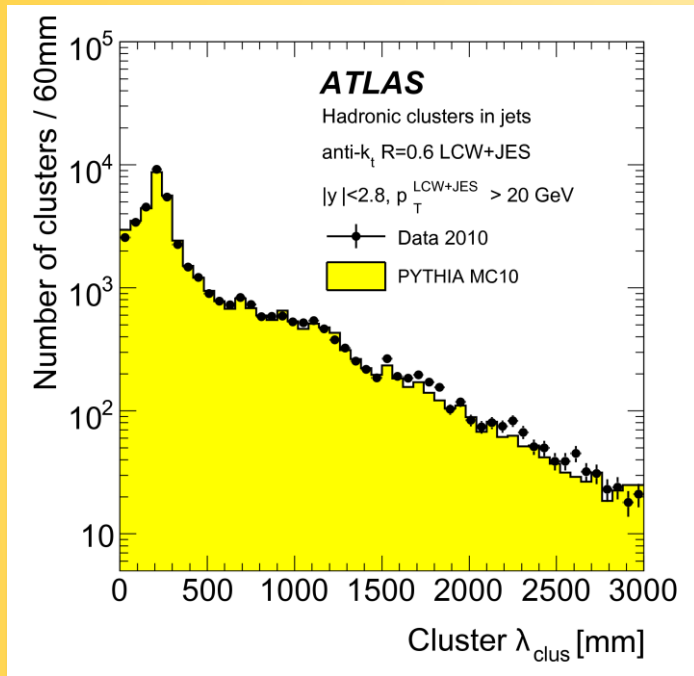


Calorimeter Topo-towers

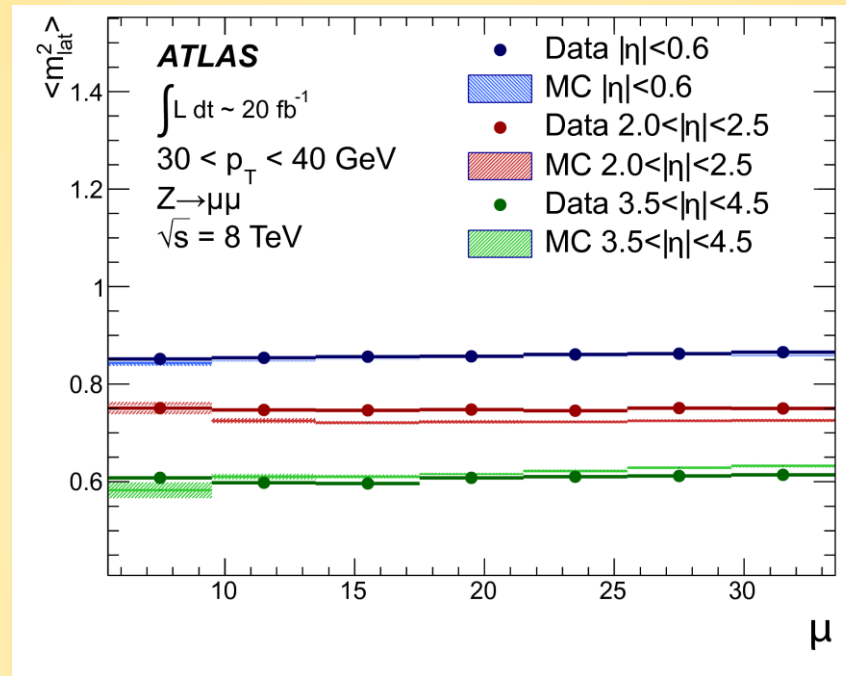
- Calorimeter signal multiplicities



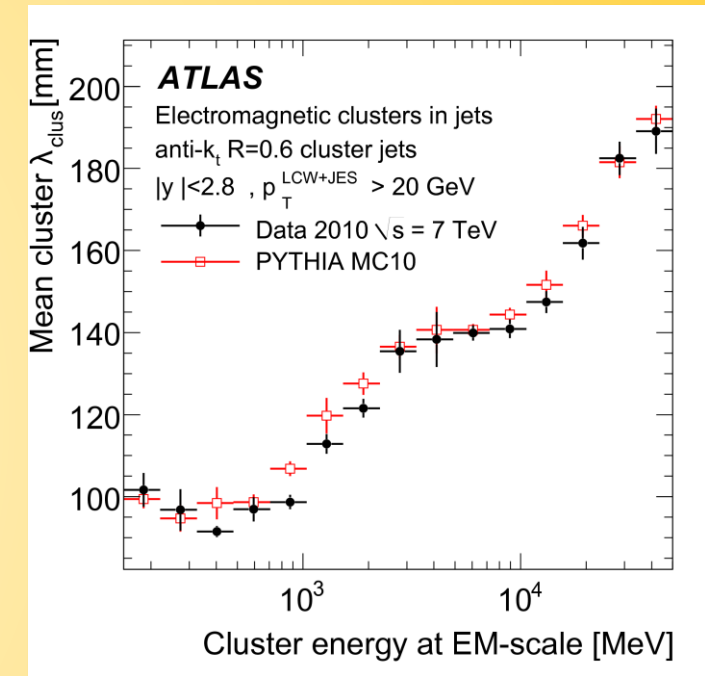
Examples of MC Modeling



Inclusive spectrum of λ_{clus}
(topo-clusters in jets)

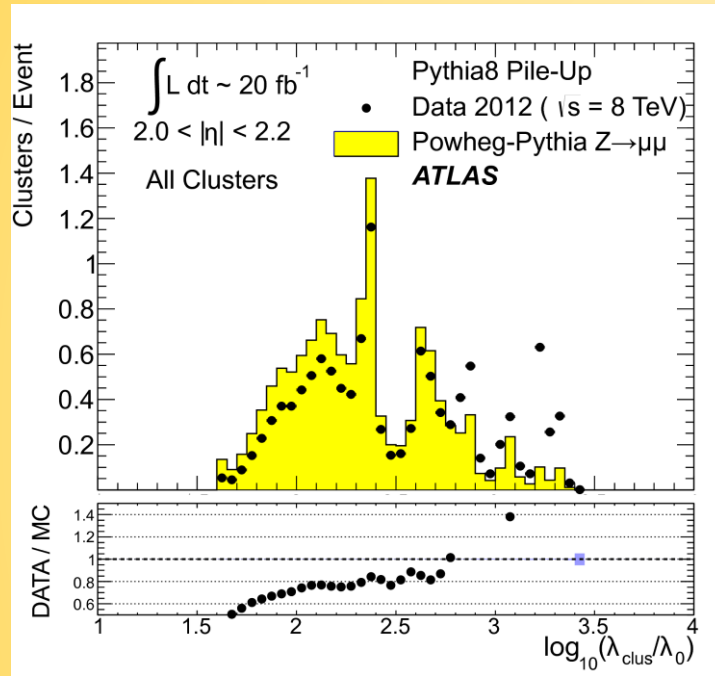


Pile-up dependence of $\langle m_{\text{lat}}^2 \rangle$
(topo-cluster in jets)



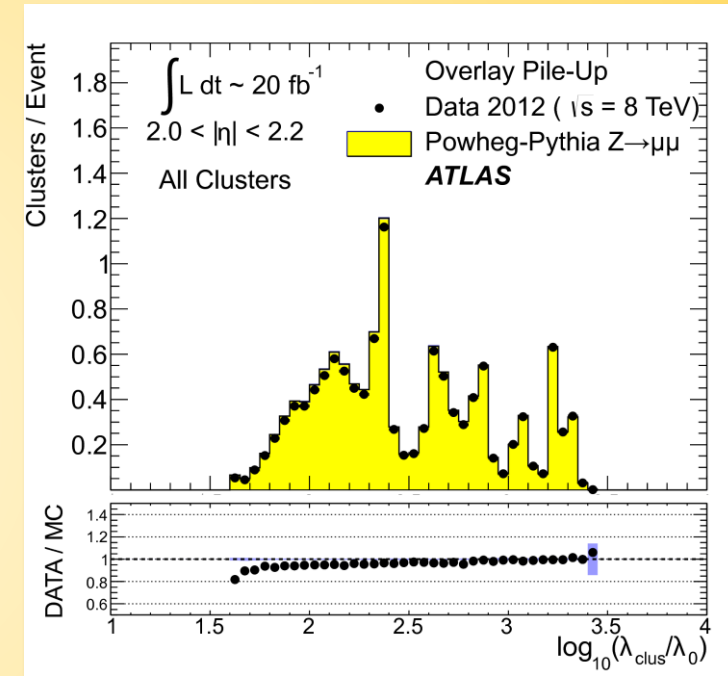
Dependence of $\langle \lambda_{\text{clus}} \rangle$ on
 $E_{\text{clus}}^{\text{EM}}$
(topo-clusters in jets)

MC Modeling Problems



$\log(\lambda_{\text{clus}})$ distribution of inclusive topo-cluster sample (no jet environment required)

(pile-up insufficiently modeled by MC generator & detector simulation)

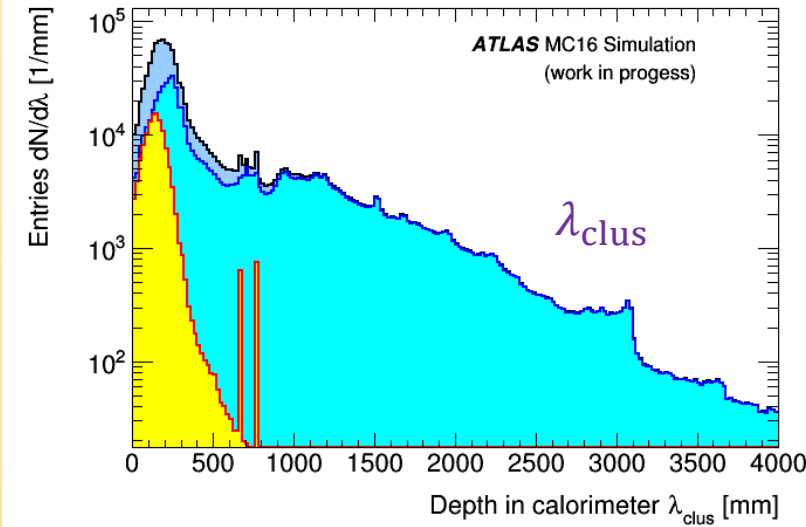
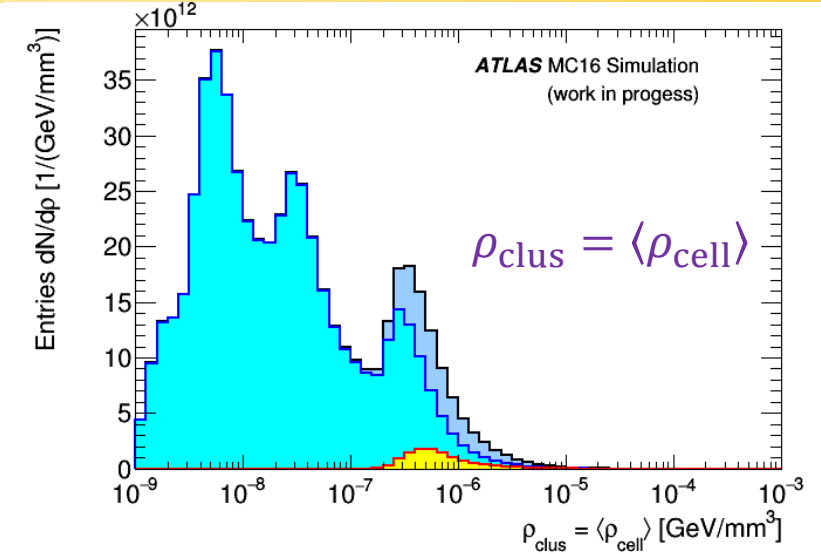
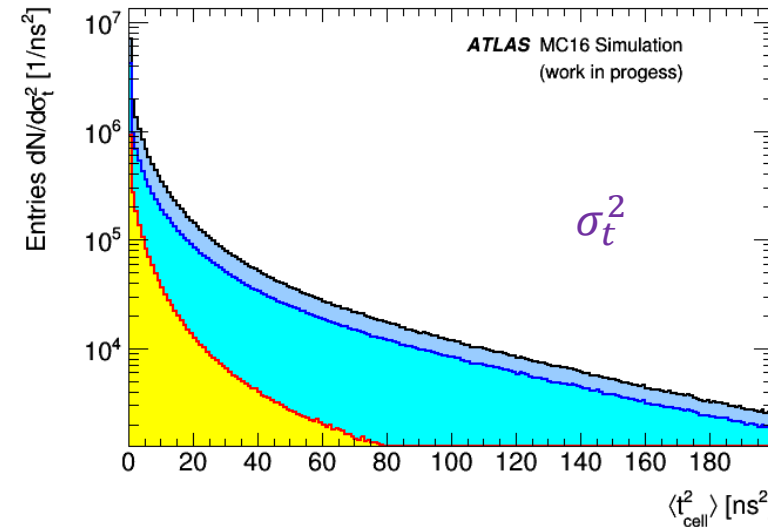
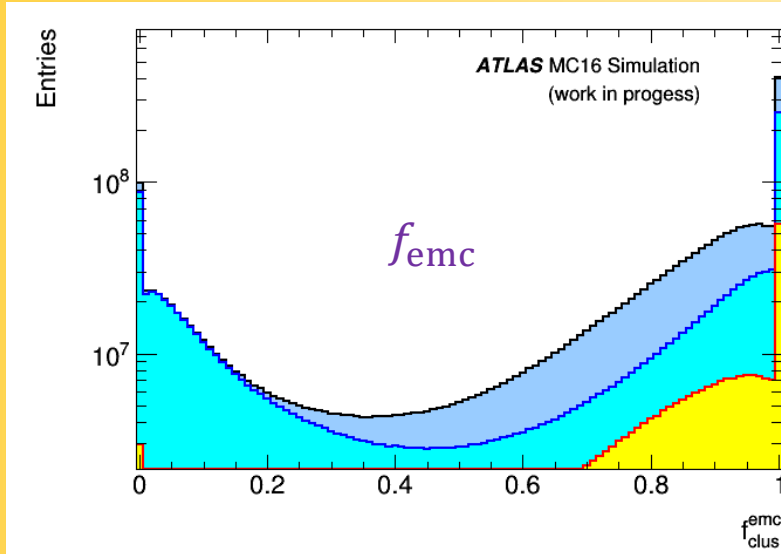


$\log(\lambda_{\text{clus}})$ distribution of inclusive topo-cluster sample (no jet environment required)

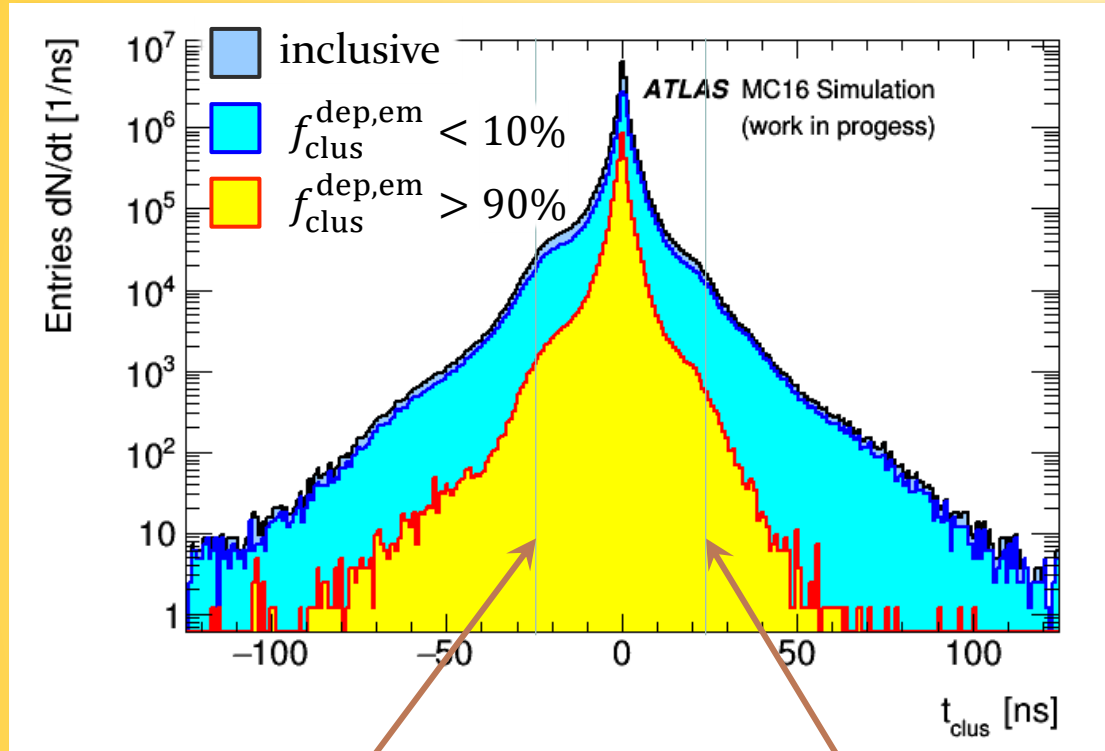
(pile-up from data overlaid on hard scatter MC simulation)

Feature Choices

- inclusive (all topo-clusters)
- < 10% electromagnetic energy deposit
- > 90% electromagnetic energy deposit

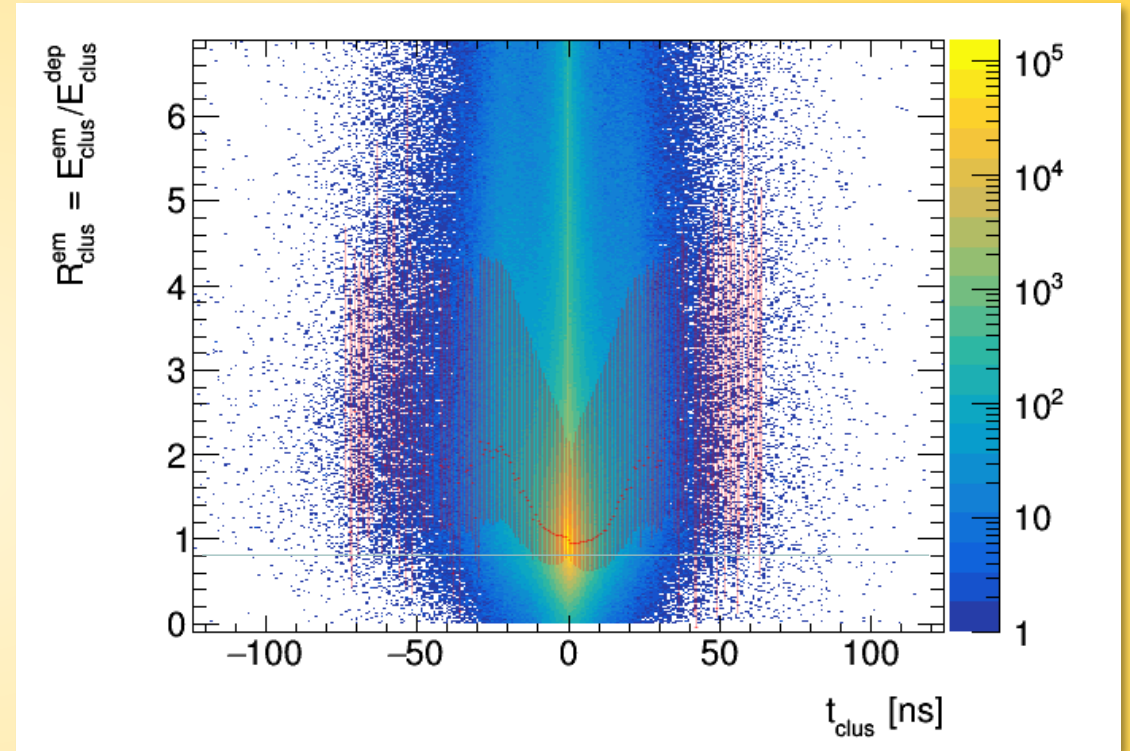


Feature Choices



Past out-of-time pile-up signal dominance in topo-cluster at $t_{clus}(=0) - 25$ ns

Future out-of-time pile-up signal dominance in topo-cluster at $t_{clus}(=0) + 25$ ns



Response driven by out-of-time pile-up contributions: net additional signal gain for $t_{clus} \lesssim -12.5$ ns and $t_{clus} \gtrsim 12.5$ ns yields unproportional signal

Machine Learning: Network Architecture

❖ Deep Neural Network (DNN)

※ Tool

- **Keras** with **TensorFlow**

※ Architecture

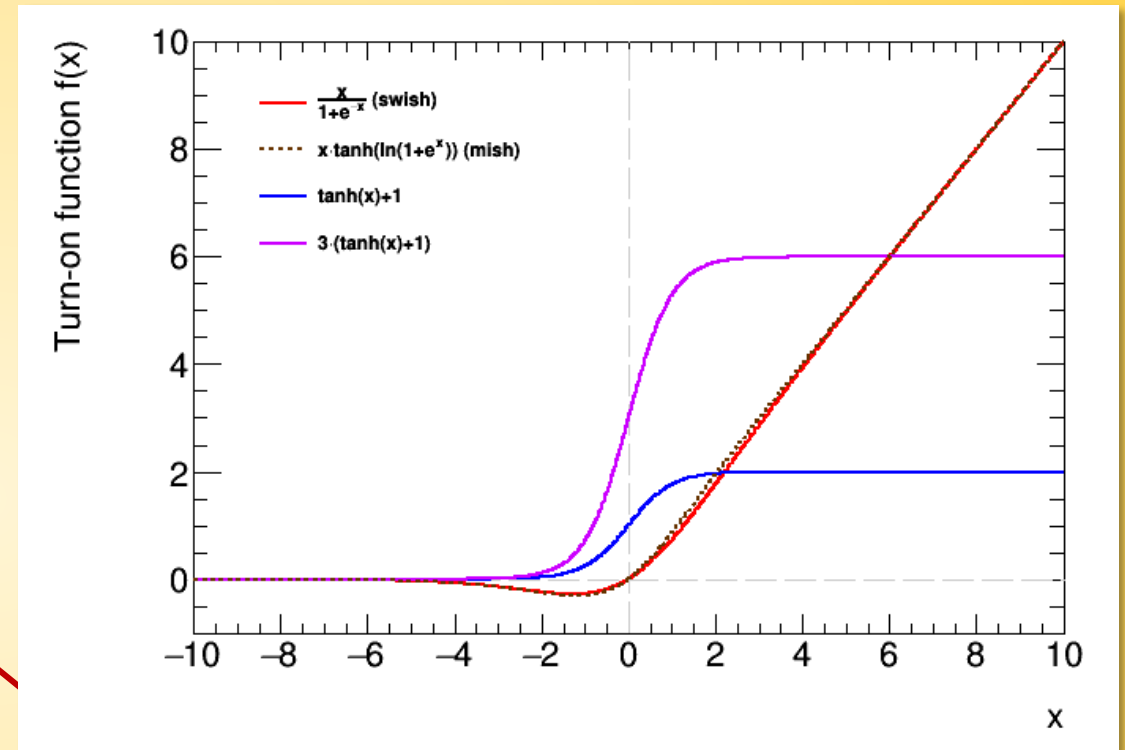
- Four hidden layers with 64/64/128/256 nodes using a $\tanh(x) + 1$ or swish activation
- One linear layer with one node

※ Loss metric

- Mean Absolute Error (MAE) initially, now using **Leaky Gaussian Kernel**
- Optimization algorithm ADAM

※ Hyperparameters (explorations mostly ongoing).

- 100 epochs for training
- Learning rates 0.001



$$-\frac{1}{\sqrt{\alpha \cdot \pi / 2}} \exp\left(-\frac{(x - x_{\text{target}})^2}{2\alpha^2}\right) + \beta \cdot |x - x_{\text{target}}|$$