

SolidStateDetectors.jl:

Open-Source Simulation of Semiconductor Detectors

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FÜR PHYSIK

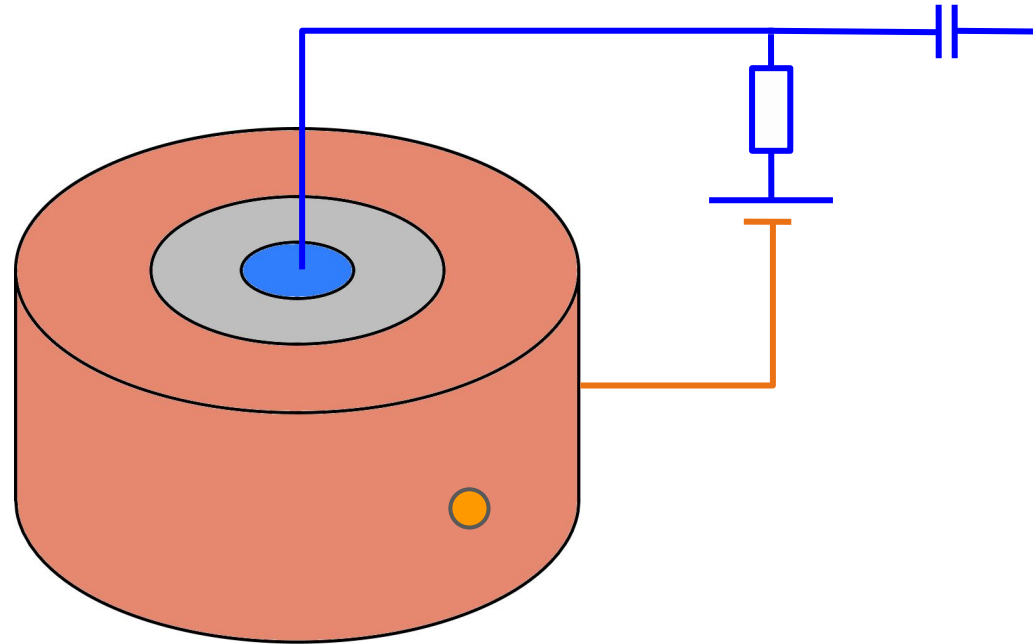
SolidStateDetectors.jl



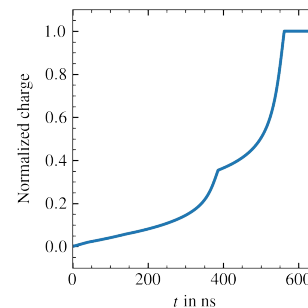
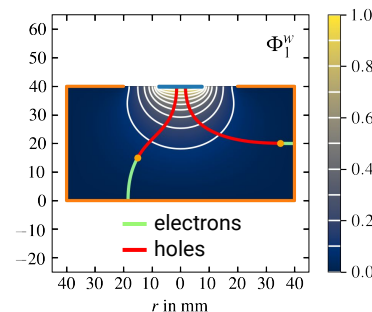
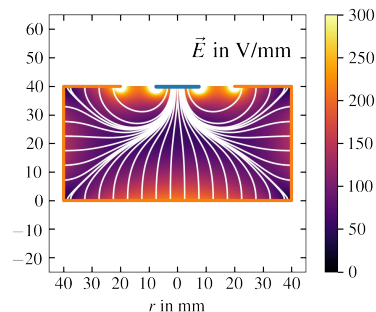
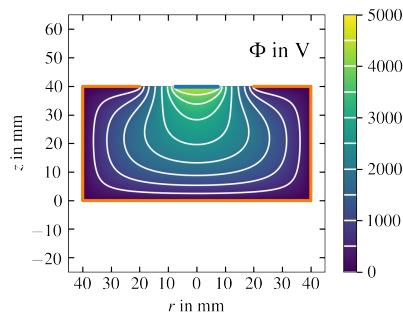
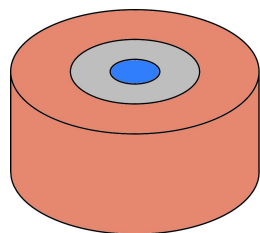
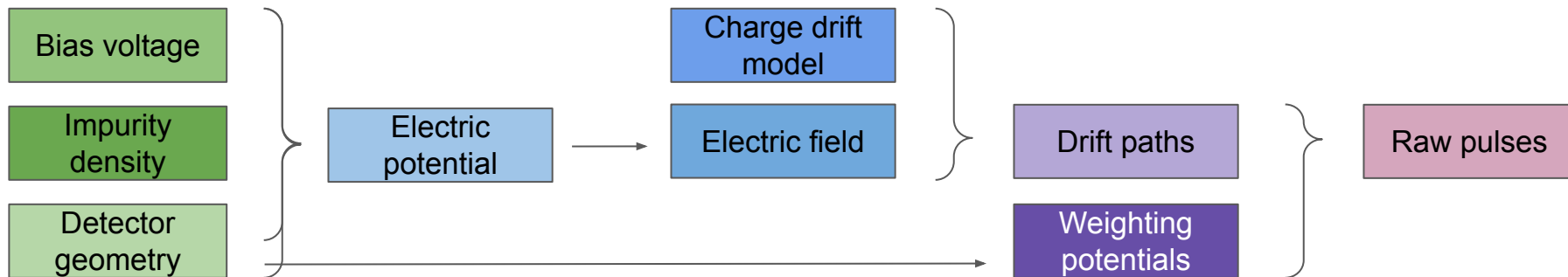
- Open-source simulation software package, written in **julia**
- 3D calculation of electric potentials and electric fields
- Can simulate arbitrary geometries, e.g. segmented detectors
- Documentation: <https://juliaphysics.github.io/SolidStateDetectors.jl/stable/>
- Fast field calculation: SIMD on CPU, also supports GPU calculation
- Calculation of capacitance matrix
- Simulation of fields in undepleted detectors \Rightarrow C-V curves
- Experimental features: diffusion and self-repulsion of charge clouds
- Recent additions: support for Geant4.jl and charge trapping models



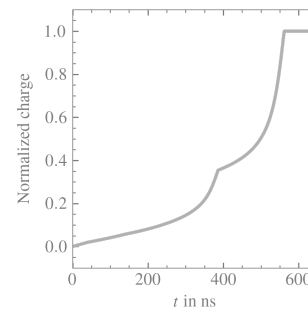
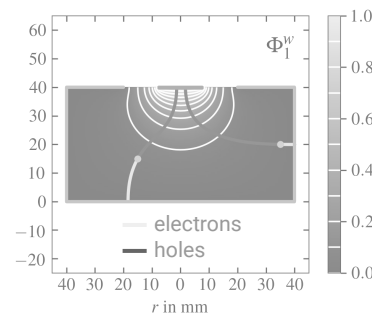
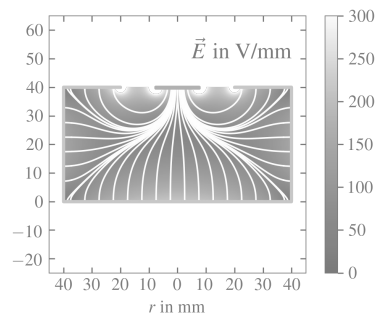
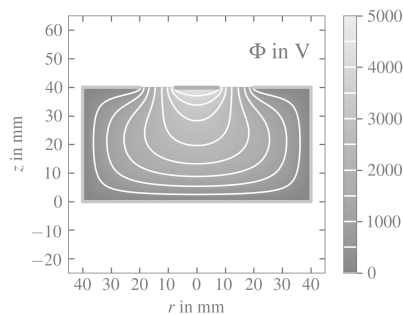
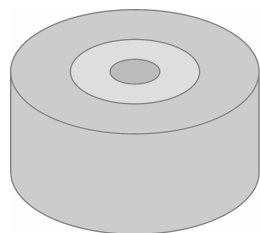
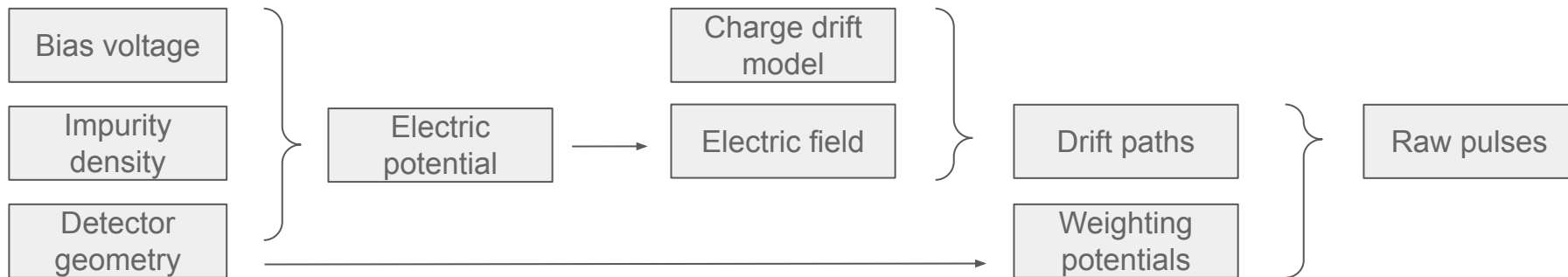
Example Detector Simulation Setup



Pulse Shape Simulation Chain



Pulse Shape Simulation Chain



Electric Potential Calculation

1. Maxwell equation:

$$\nabla \cdot (\epsilon_r(\mathbf{r}) \cdot \nabla \Phi(\mathbf{r})) = -\frac{\rho(\mathbf{r})}{\epsilon_0}$$

Electric
potential

Required input:

- charge density ,
- dielectric distribution ,
- boundary conditions for

Impurity
density

Bias voltage

Detector
geometry

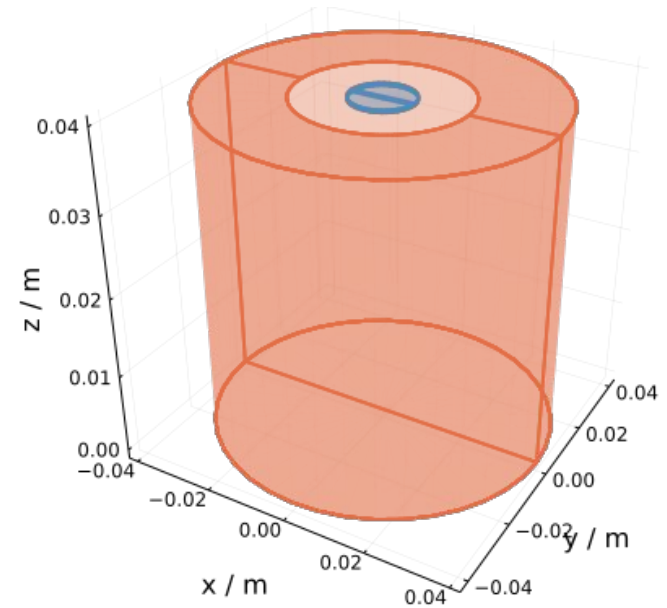
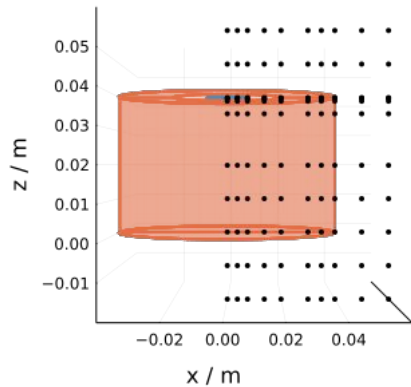
SSD solves this numerically

- Successive Over-Relaxation (SOR) algorithm
- Red-Black division of the grid → parallelization (CPU vectorization, GPU support)
- Adaptive grid



Electric Potential Calculation

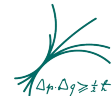
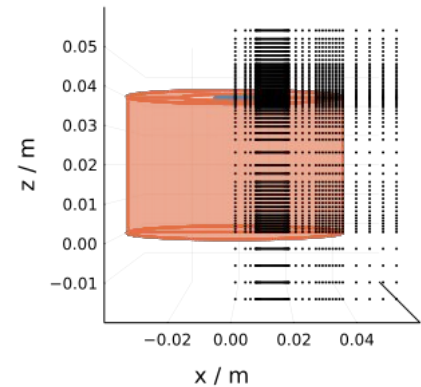
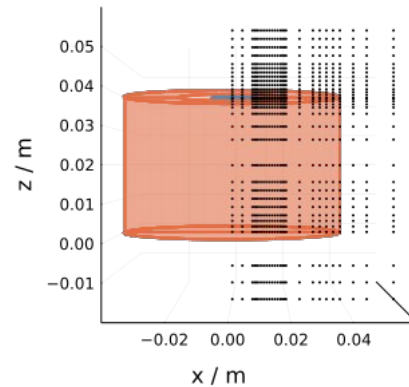
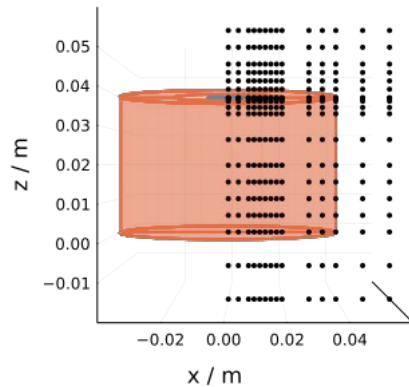
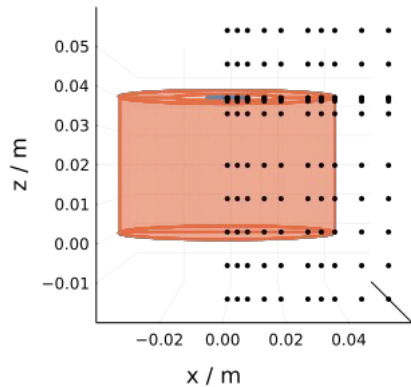
Numerical approach: Divide your world (detector + surroundings) into small parts and calculate for each part (grid point) its potential



Electric Potential Calculation

Numerical approach: Divide your world (detector + surroundings) into small parts and calculate for each part (grid point) its potential

Adaptive grid: Start with a coarse grid (10 x 10 x 10 points) and become finer (eg. 200 x 200 x 200 points)



Electric Potential Calculation

How to calculate the potential of a single grid point?

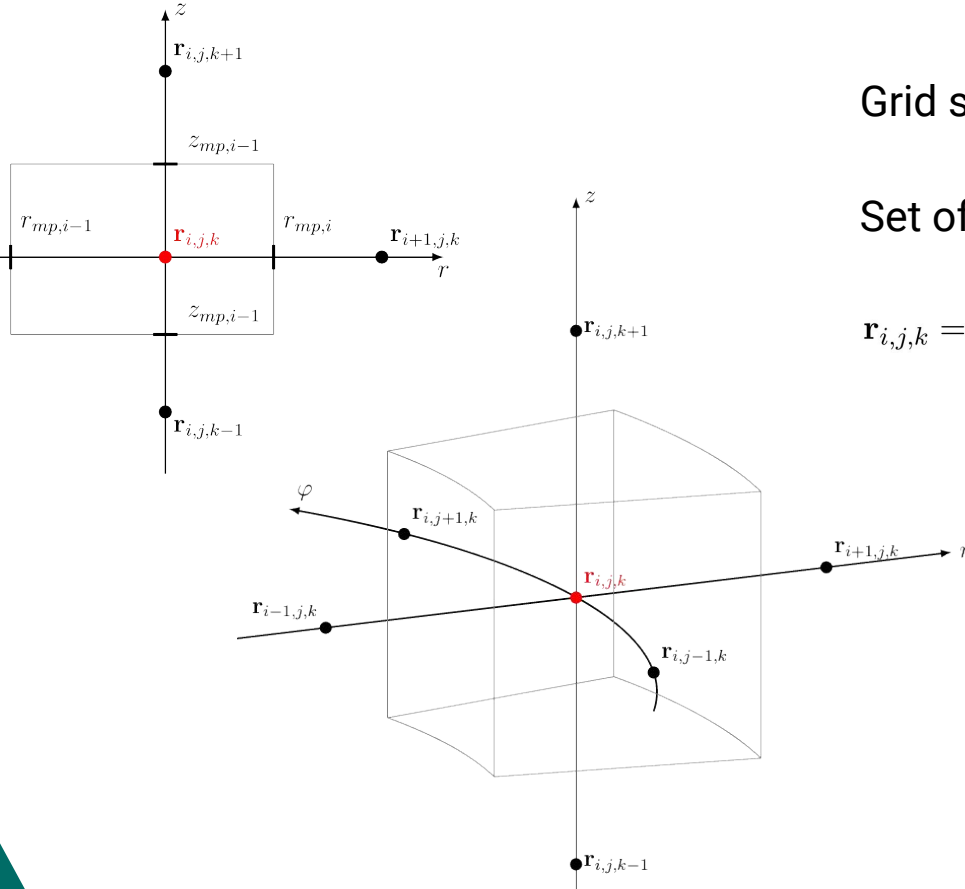
$$\nabla \cdot (\epsilon_r(\mathbf{r}) \cdot \nabla \Phi(\mathbf{r})) = -\frac{\rho(\mathbf{r})}{\epsilon_0}$$

Integral form:
$$\iiint_V \nabla \cdot (\epsilon_r(\mathbf{r}) \cdot \nabla \Phi(\mathbf{r})) dV = \iiint_V -\frac{\rho(\mathbf{r})}{\epsilon_0} dV$$

Divergence theorem:
$$\oiint_S (\epsilon_r(\mathbf{r}) \cdot \nabla \Phi(\mathbf{r})) \cdot d\mathbf{S} = - \iiint_V \frac{\rho(\mathbf{r})}{\epsilon_0} dV$$



Electric Potential Calculation



Grid size: = N grid points

Set of grid points:

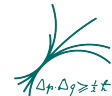
$$\mathbf{r}_{i,j,k} = \begin{pmatrix} r_i \\ \varphi_j \\ z_k \end{pmatrix} \quad i \in 1, \dots, N_r; \quad j \in 1, \dots, N_\varphi; \quad k \in 1, \dots, N_z$$

Mid points : (points between actual grid points)

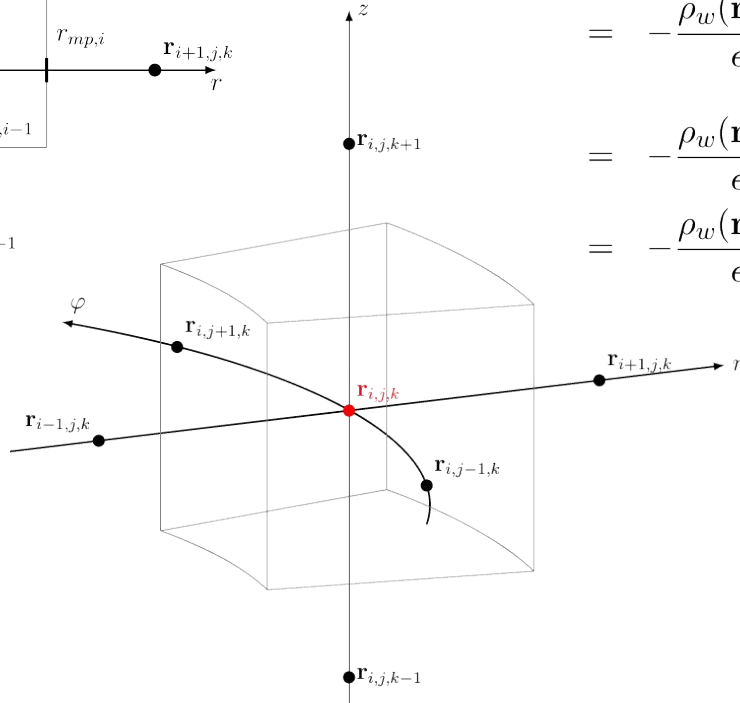
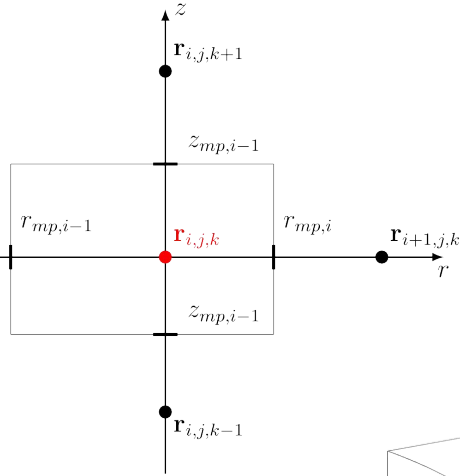
$$r_{mp,i} = r_i + 0.5 \cdot (r_{i+1} - r_i)$$

$$\varphi_{mp,j} = \varphi_j + 0.5 \cdot (\varphi_{j+1} - \varphi_j)$$

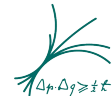
$$z_{mp,k} = z_k + 0.5 \cdot (z_{k+1} - z_k)$$



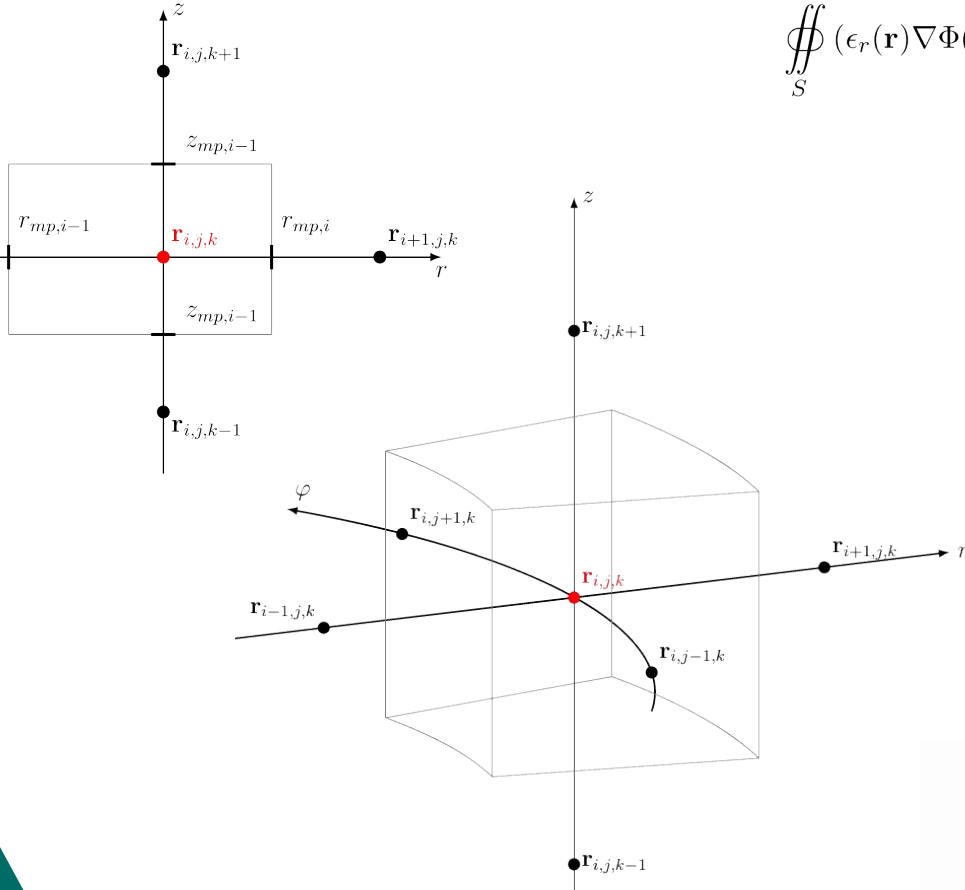
Electric Potential Calculation



$$\begin{aligned}
 - \iiint_V \frac{\rho(\mathbf{r})}{\epsilon_0} dV &= - \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{\varphi_{mp,j-1}}^{\varphi_{mp,j}} \int_{z_{mp,k-1}}^{z_{mp,k}} r \cdot \frac{\rho(\mathbf{r})}{\epsilon_0} dz d\varphi dr \\
 &= - \frac{\rho_w(\mathbf{r}_{i,j,k})}{\epsilon_0} \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{\varphi_{mp,j-1}}^{\varphi_{mp,j}} \int_{z_{mp,k-1}}^{z_{mp,k}} r dz d\varphi dr \\
 &= - \frac{\rho_w(\mathbf{r}_{i,j,k})}{\epsilon_0} \cdot \frac{1}{2} (r_{mp,i}^2 - r_{mp,i-1}^2) (\varphi_{mp,j} - \varphi_{mp,j-1}) (z_{mp,k} - z_{mp,k-1}) \\
 &= - \frac{\rho_w(\mathbf{r}_{i,j,k})}{\epsilon_0} \cdot V_{i,j,k} = Q_{i,j,k}^{eff}
 \end{aligned}$$



Electric Potential Calculation



$$\oiint_S (\epsilon_r(\mathbf{r}) \nabla \Phi(\mathbf{r})) \cdot d\mathbf{S} = \iint_{r^+} + \iint_{r^-} + \iint_{\varphi^+} + \iint_{\varphi^-} + \iint_{z^+} + \iint_{z^-}$$

$$\iint_{r^+} = \int_{z_{mp,k-1}}^{z_{mp,k}} \int_{\varphi_{mp,j-1}}^{\varphi_{mp,j}} -\epsilon_r(\mathbf{r}) (\nabla \Phi(\mathbf{r})) r_{mp,i} \mathbf{e}_r d\varphi dz$$

$$\iint_{r^-} = \int_{z_{mp,k-1}}^{z_{mp,k}} \int_{\varphi_{mp,j-1}}^{\varphi_{mp,j}} +\epsilon_r(\mathbf{r}) (\nabla \Phi(\mathbf{r})) r_{mp,i+1} \mathbf{e}_r d\varphi dz$$

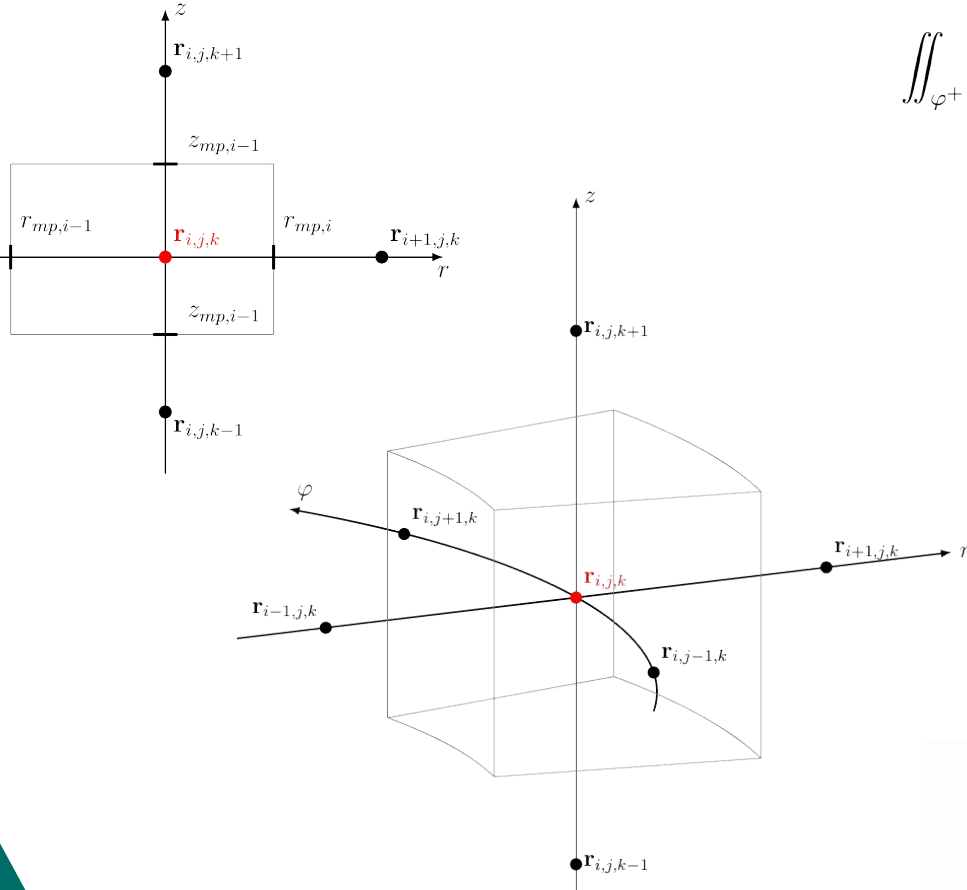
$$\iint_{\varphi^+} = \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} -\epsilon_r(\mathbf{r}) (\nabla \Phi(\mathbf{r})) \mathbf{e}_\varphi dz dr$$

$$\iint_{\varphi^-} = \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} +\epsilon_r(\mathbf{r}) (\nabla \Phi(\mathbf{r})) \mathbf{e}_\varphi dz dr$$

$$\iint_{z^+} = \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{\varphi_{mp,j-1}}^{\varphi_{mp,j}} -\epsilon_r(\mathbf{r}) (\nabla \Phi(\mathbf{r})) r \mathbf{e}_z d\varphi dr$$

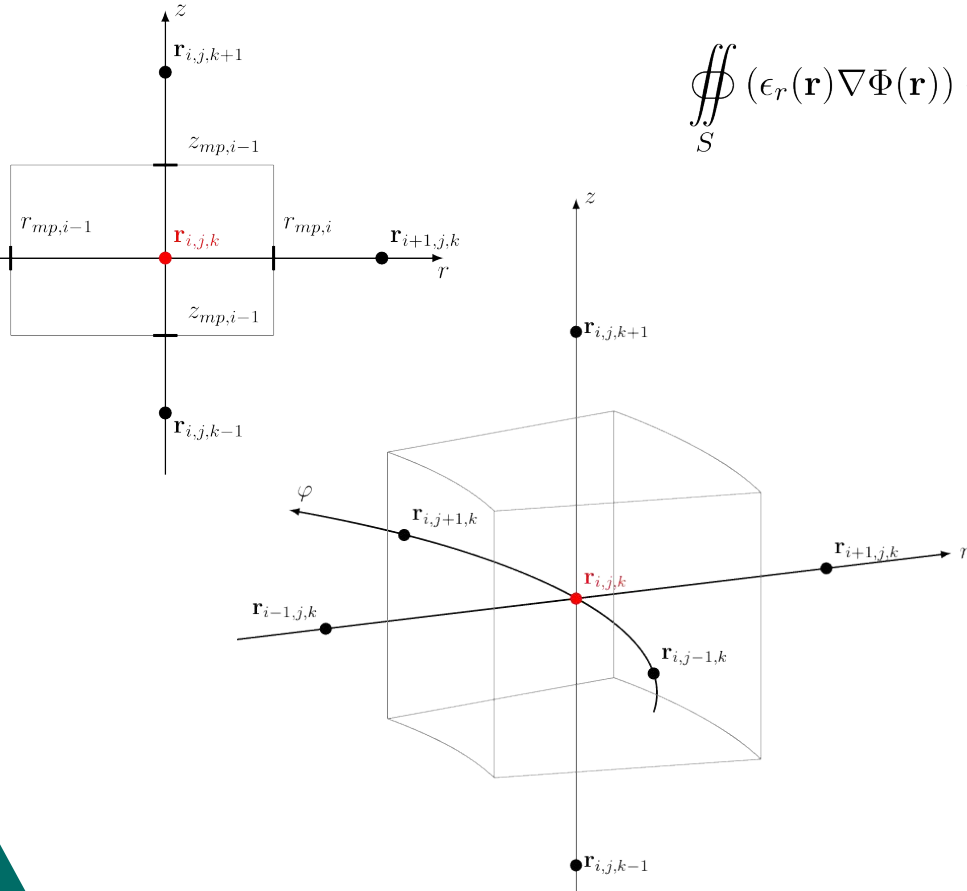
$$\iint_{z^-} = \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{\varphi_{mp,j-1}}^{\varphi_{mp,j}} +\epsilon_r(\mathbf{r}) (\nabla \Phi(\mathbf{r})) r \mathbf{e}_z d\varphi dr .$$

Electric Potential Calculation

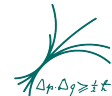


$$\begin{aligned}
 \iint_{\varphi^+} &= \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} +\epsilon_r(\mathbf{r}) (\nabla\Phi(\mathbf{r})) \mathbf{e}_\varphi dz dr \\
 &= \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} \epsilon_r(\mathbf{r}) \frac{1}{r_i} \frac{\partial}{\partial \varphi} \Phi(\mathbf{r}) dz dr \\
 &= \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} \epsilon_r(\mathbf{r}) \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} dz dr \\
 &= \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} \cdot \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} \epsilon_r(\mathbf{r}) dz dr \\
 &= \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} \cdot \epsilon_{i,j,k}^{w,\varphi^+} \cdot \int_{r_{mp,i-1}}^{r_{mp,i}} \int_{z_{mp,k-1}}^{z_{mp,k}} dz dr \\
 &= \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} \cdot \epsilon_{i,j,k}^{w,\varphi^+} \cdot (r_{mp,i} - r_{mp,i-1})(z_{mp,k} - z_{mp,k-1}) \\
 &= \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} \cdot \epsilon_{i,j,k}^{w,\varphi^+} \cdot A_{i,j,k}^{\varphi^+}
 \end{aligned}$$

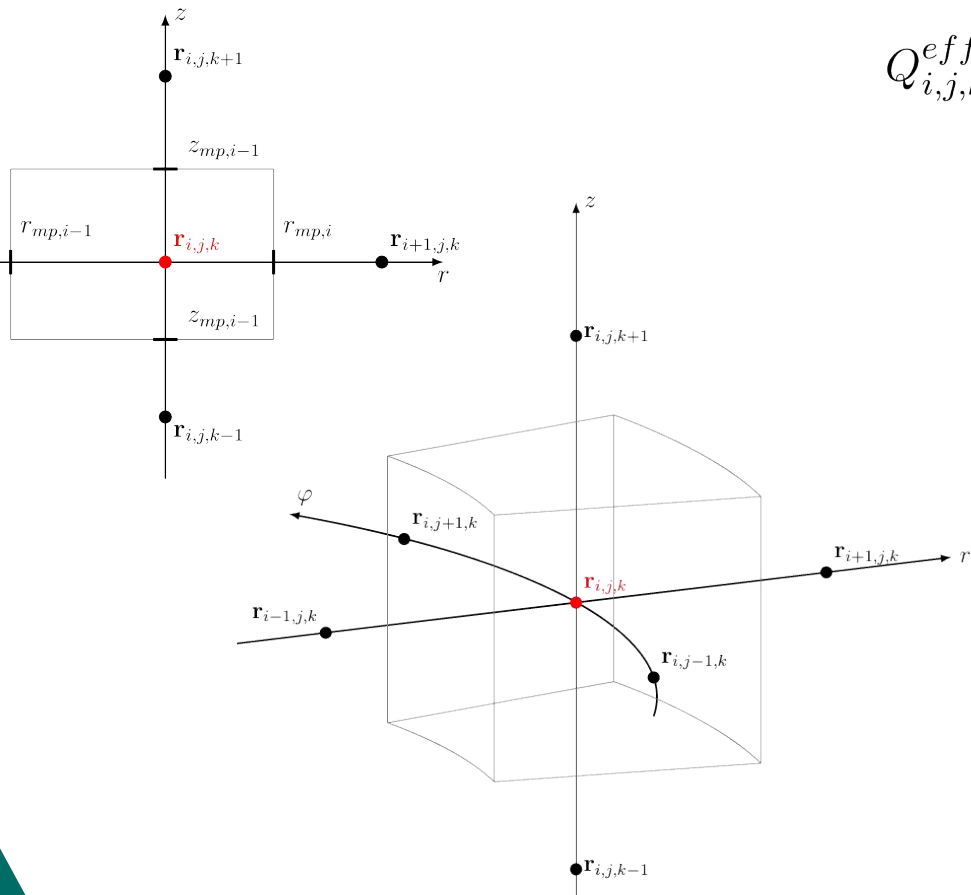
Electric Potential Calculation



$$\begin{aligned}
 \oiint_S (\epsilon_r(\mathbf{r}) \nabla \Phi(\mathbf{r})) \cdot d\mathbf{S} &= + \iint_{r^+} + \iint_{r^-} + \iint_{\varphi^+} + \iint_{\varphi^-} + \iint_{z^+} + \iint_{z^-} \\
 &= + \frac{\Phi_{i+1,j,k} - \Phi_{i,j,k}}{r_{i+1} - r_i} \cdot \epsilon_{i,j,k}^{w,r^+} \cdot A_{i,j,k}^{r^+} \\
 &\quad - \frac{\Phi_{i,j,k} - \Phi_{i-1,j,k}}{r_i - r_{i-1}} \cdot \epsilon_{i,j,k}^{w,r^-} \cdot A_{i,j,k}^{r^-} \\
 &\quad + \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} \cdot \epsilon_{i,j,k}^{w,\varphi^+} \cdot A_{i,j,k}^{\varphi^+} \\
 &\quad - \frac{\Phi_{i,j,k} - \Phi_{i,j-1,k}}{r_i \cdot (\varphi_j - \varphi_{j-1})} \cdot \epsilon_{i,j,k}^{w,\varphi^-} \cdot A_{i,j,k}^{\varphi^-} \\
 &\quad + \frac{\Phi_{i,j,k+1} - \Phi_{i,j,k}}{z_{k+1} - z_k} \cdot \epsilon_{i,j,k}^{w,z^+} \cdot A_{i,j,k}^{z^+} \\
 &\quad - \frac{\Phi_{i,j,k} - \Phi_{i,j,k-1}}{z_k - z_{k-1}} \cdot \epsilon_{i,j,k}^{w,z^-} \cdot A_{i,j,k}^{z^-}
 \end{aligned}$$



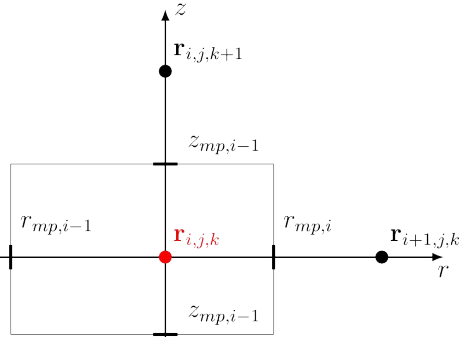
Electric Potential Calculation



$$\begin{aligned}
 Q_{i,j,k}^{eff} = & + \frac{\Phi_{i+1,j,k} - \Phi_{i,j,k}}{r_{i+1} - r_i} \cdot \epsilon_{i,j,k}^{w,r^+} \cdot A_{i,j,k}^{r^+} \\
 & - \frac{\Phi_{i,j,k} - \Phi_{i-1,j,k}}{r_i - r_{i-1}} \cdot \epsilon_{i,j,k}^{w,r^-} \cdot A_{i,j,k}^{r^-} \\
 & + \frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{r_i \cdot (\varphi_{j+1} - \varphi_j)} \cdot \epsilon_{i,j,k}^{w,\varphi^+} \cdot A_{i,j,k}^{\varphi^+} \\
 & - \frac{\Phi_{i,j,k} - \Phi_{i,j-1,k}}{r_i \cdot (\varphi_j - \varphi_{j-1})} \cdot \epsilon_{i,j,k}^{w,\varphi^-} \cdot A_{i,j,k}^{\varphi^-} \\
 & + \frac{\Phi_{i,j,k+1} - \Phi_{i,j,k}}{z_{k+1} - z_k} \cdot \epsilon_{i,j,k}^{w,z^+} \cdot A_{i,j,k}^{z^+} \\
 & - \frac{\Phi_{i,j,k} - \Phi_{i,j,k-1}}{z_k - z_{k-1}} \cdot \epsilon_{i,j,k}^{w,z^-} \cdot A_{i,j,k}^{z^-}
 \end{aligned}$$

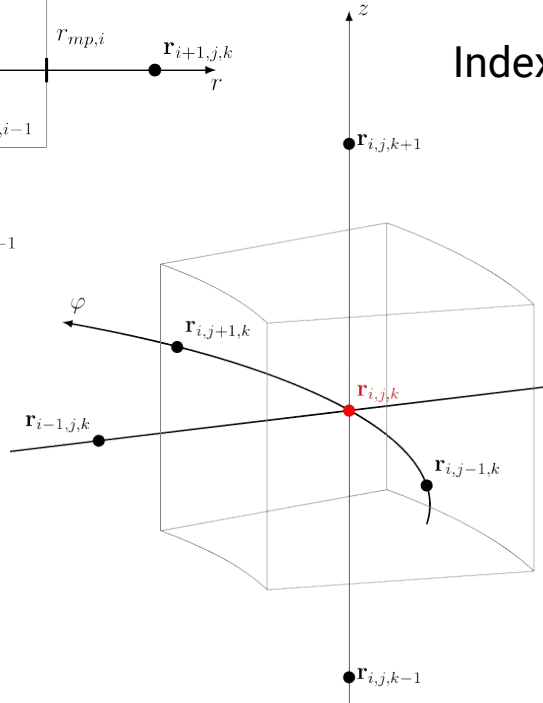


Electric Potential Calculation



$$\Phi_{i,j,k} = a_{i,j,k}^0 [Q_{i,j,k}^{eff} + a_{i,j,k}^{r+} \cdot \Phi_{i+1,j,k} + a_{i,j,k}^{r-} \cdot \Phi_{i-1,j,k} + a_{i,j,k}^{\varphi+} \cdot \Phi_{i,j+1,k} + a_{i,j,k}^{\varphi-} \cdot \Phi_{i,j-1,k} + a_{i,j,k}^{z+} \cdot \Phi_{i,j,k+1} + a_{i,j,k}^{z-} \cdot \Phi_{i,j,k-1}]$$

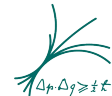
Index change



$$\begin{pmatrix} \Phi_1 \\ \Phi_2 \\ \vdots \\ \Phi_N \end{pmatrix} = \begin{pmatrix} a_{1,1} & a_{1,2} & \dots & a_{1,N} \\ a_{2,1} & \ddots & \ddots & \vdots \\ \vdots & \ddots & \ddots & \vdots \\ a_{N,1} & \dots & \dots & a_{N,N} \end{pmatrix}^{N \times N} \cdot \begin{pmatrix} \Phi_1 \\ \Phi_2 \\ \vdots \\ \Phi_N \end{pmatrix} + \begin{pmatrix} a_1^0 Q_1^{eff} \\ a_2^0 Q_2^{eff} \\ \vdots \\ a_N^0 Q_N^{eff} \end{pmatrix}$$



System of N linear equations



Electric Potential Calculation



System of N linear equations



Gauss-Seidel method

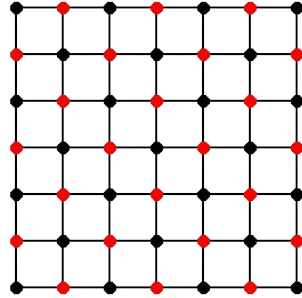
Set initial state: Φ^0

Solve this equation several times, until an equilibrium is reached (until it “converges”, i.e. the potential does not change any more).

The Successive Over-Relaxation (SOR) method is based on the Gauss-Seidel method, but normally converge much faster to its equilibrium.



Red-Black Algorithm



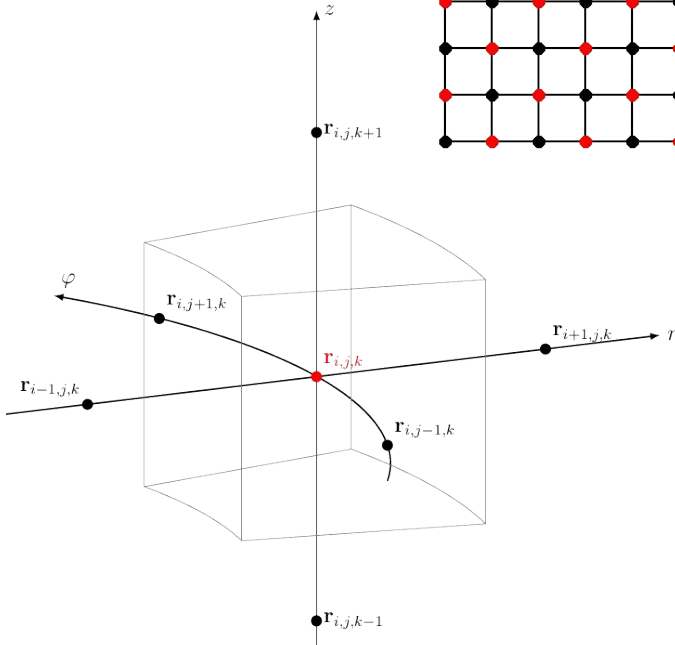
N equations

Red-Black algorithm (Even / Odd)

$$\Phi_R^{k+1} = \mathbf{A}_R \cdot \Phi_B^k + \mathbf{Q}_R \quad | \quad N/2 \text{ equations}$$

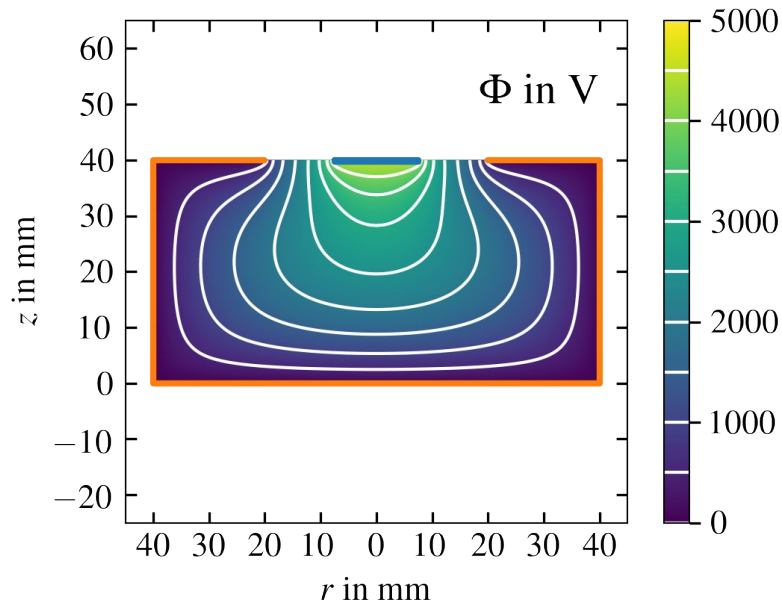
$$\Phi_B^{k+1} = \mathbf{A}_B \cdot \Phi_R^k + \mathbf{Q}_B \quad | \quad N/2 \text{ equations}$$

Red (black) points do not depend on values of other red (black) points, so they can be updated simultaneously



Electric Potential Calculation

julia > calculate_electric_potential!(sim)



Electric Potential Calculation

julia > calculate_electric_potential!(sim)

Keywords

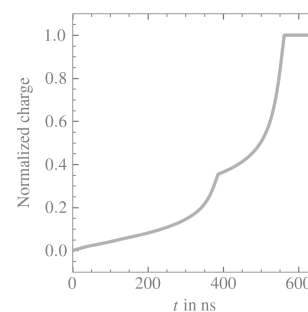
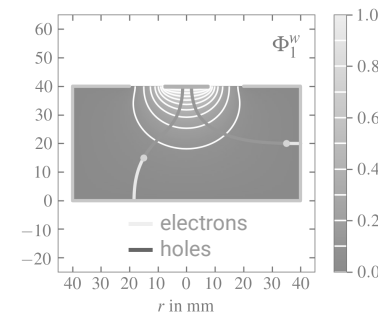
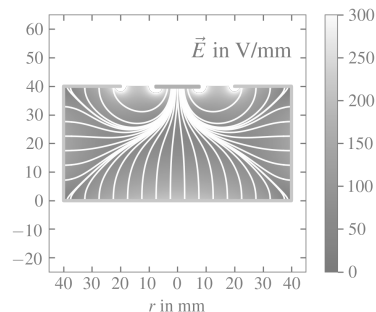
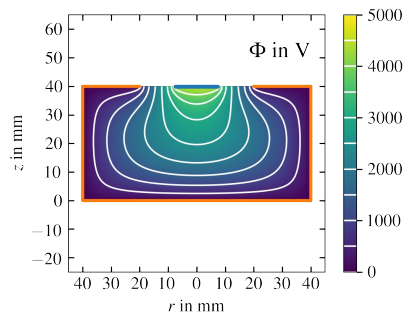
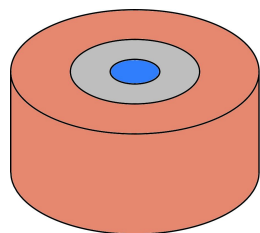
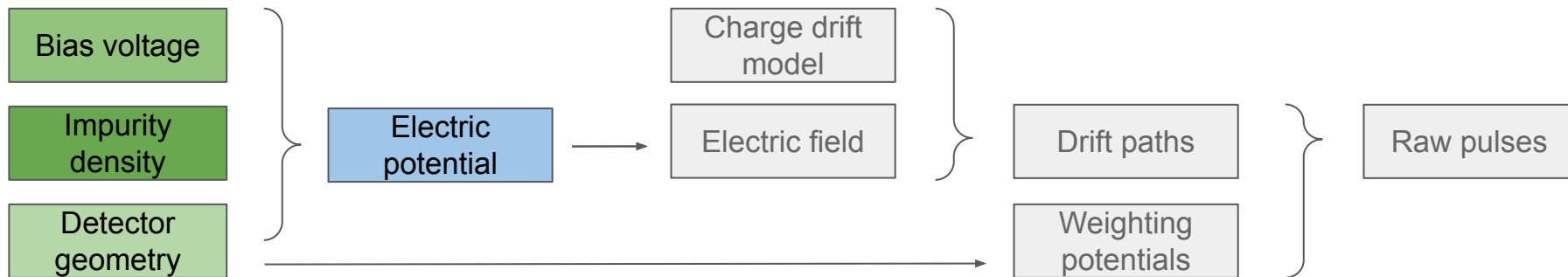
- `convergence_limit::Real`: `convergence_limit` times the bias voltage sets the convergence limit of the relaxation. The convergence value is the absolute maximum difference of the potential between two iterations of all grid points. Default of `convergence_limit` is $1e-7$ (times bias voltage).
- `refinement_limits`: Defines the maximum relative (to applied bias voltage) allowed differences of the potential value of neighbored grid points in each dimension for each refinement.
 - `r_l::Real` -> One refinement with `r_l` equal in all 3 dimensions.
 - `r_l::Tuple{<:Real,<:Real,<:Real}` -> One refinement with `r_l` set individual for each dimension.
 - `r_l::Vector{<:Real}` -> `length(l)` refinements with `r_l[i]` being the limit for the `i`-th refinement.
 - `r_l::Vector{<:Real,<:Real,<:Real}` -> `length(r_l)` refinements with `r_l[i]` being the limits for the `i`-th refinement.
- `min_tick_distance::Tuple{<:Quantity, <:Quantity, <:Quantity}`: Tuple of the minimum allowed distance between two grid ticks for each dimension. It prevents the refinement to make the grid too fine. Default is $1e-5$ for linear axes and $1e-5 / (0.25 * r_{max})$ for the polar axis in case of a cylindrical grid.
- `max_tick_distance::Tuple{<:Quantity, <:Quantity, <:Quantity}`: Tuple of the maximum allowed distance between two grid ticks for each dimension used in the initialization of the grid. Default is 1/4 of size of the world of the respective dimension.
- `max_distance_ratio::Real`: Maximum allowed ratio between the two distances in any dimension to the two neighbouring grid points. If the ratio is too large, additional ticks are generated such that the new ratios are smaller than `max_distance_ratio`. Default is 5.
- `grid::Grid`: Initial grid used to start the simulation. Default is `Grid(sim)`.
- `depletion_handling::Bool`: Enables the handling of undepleted regions. Default is `false`.
- `use_nthreads::Union{Int, Vector{Int}}`: If `<:Int`, `use_nthreads` defines the maximum number of threads to be used in the computation. Fewer threads might be used depending on the current grid size due to threading overhead. Default is `Base.Threads.nthreads()`. If `<:Vector{Int}`, `use_nthreads[i]` defines the number of threads used for each grid (refinement) stage of the field simulation. The environment variable `JULIA_NUM_THREADS` must be set appropriately before the Julia session was started (e.g. `export JULIA_NUM_THREADS=8` in case of bash).
- `sor_consts::Union{<:Real, NTuple{2, <:Real}}`: Two element tuple in case of cylindrical coordinates. First element contains the SOR constant for `r = 0`. Second contains the constant at the outer most grid point in `r`. A linear scaling is applied in between. First element should be smaller than the second one and both should be $\in [1.0, 2.0]$. Default is `[1.4, 1.85]`. In case of Cartesian coordinates, only one value is taken.
- `max_n_iterations::Int`: Set the maximum number of iterations which are performed after each grid refinement. Default is 10000. If set to `-1` there will be no limit.
- `not_only_paint_contacts::Bool = true`: Whether to only use the painting algorithm of the surfaces of `Contact` without checking if points are actually inside them. Setting it to `false` should improve the performance but the points inside of `Contact` are not fixed anymore.
- `paint_contacts::Bool = true`: Enable or disable the painting of the surfaces of the `Contact` onto the grid.
- `verbose::Bool=true`: Boolean whether info output is produced or not.

[Documentation](https://juliaphysics.github.io/SolidStateDetectors.jl/stable/) on GitHub

<https://juliaphysics.github.io/SolidStateDetectors.jl/stable/>



Pulse Shape Simulation Chain



Electric Field Calculation

Electric potential

$$\Phi_{i,j,k}$$



$$\mathbf{E}_{i,j,k} = (E_r^{i,j,k}, E_\varphi^{i,j,k}, E_z^{i,j,k})$$

Electric field



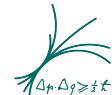
Electric field at any point \mathbf{r} (through linear interpolation)

Mean of finite difference:

$$E_r^{i,j,k} = -\frac{1}{2} \left(\frac{\Phi_{i+1,j,k} - \Phi_{i,j,k}}{r_{i+1} - r_i} + \frac{\Phi_{i,j,k} - \Phi_{i-1,j,k}}{r_i - r_{i-1}} \right)$$

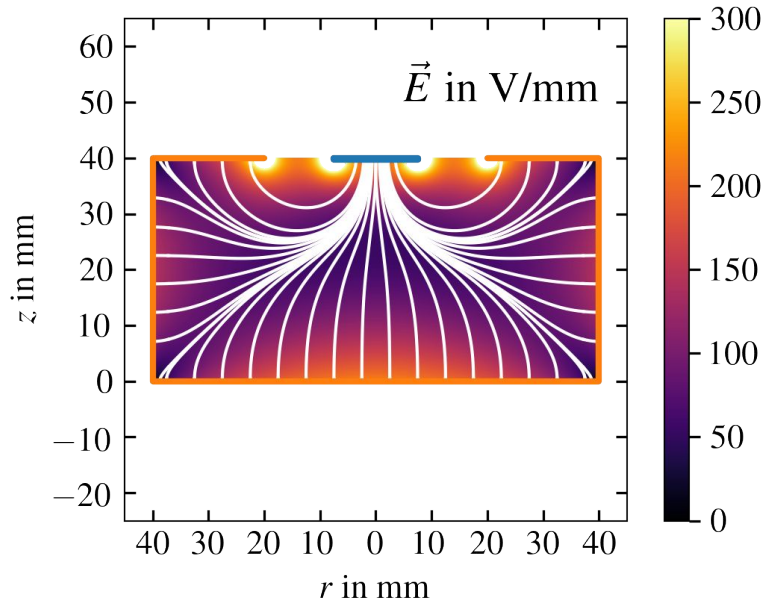
$$E_\varphi^{i,j,k} = -\frac{1}{2} \left(\frac{\Phi_{i,j+1,k} - \Phi_{i,j,k}}{\varphi_{j+1} - \varphi_j} + \frac{\Phi_{i,j,k} - \Phi_{i,j-1,k}}{\varphi_j - \varphi_{j-1}} \right)$$

$$E_z^{i,j,k} = -\frac{1}{2} \left(\frac{\Phi_{i,j,k+1} - \Phi_{i,j,k}}{z_{k+1} - z_k} + \frac{\Phi_{i,j,k} - \Phi_{i,j,k-1}}{z_k - z_{k-1}} \right)$$

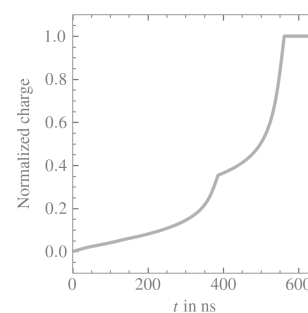
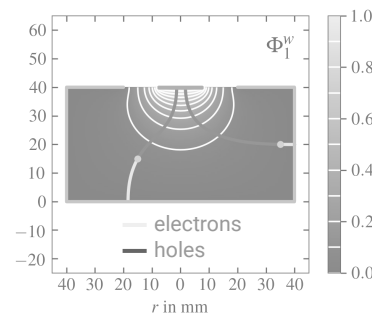
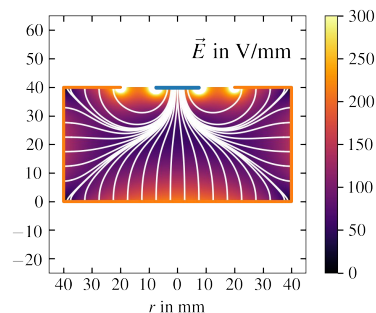
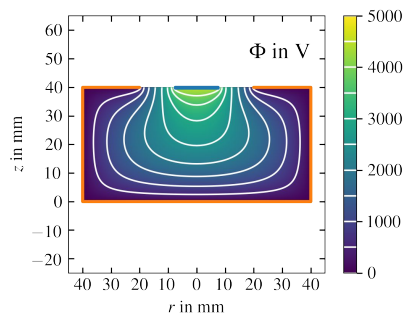
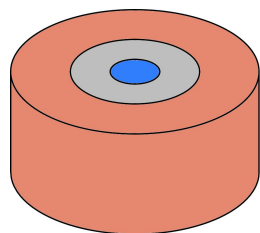
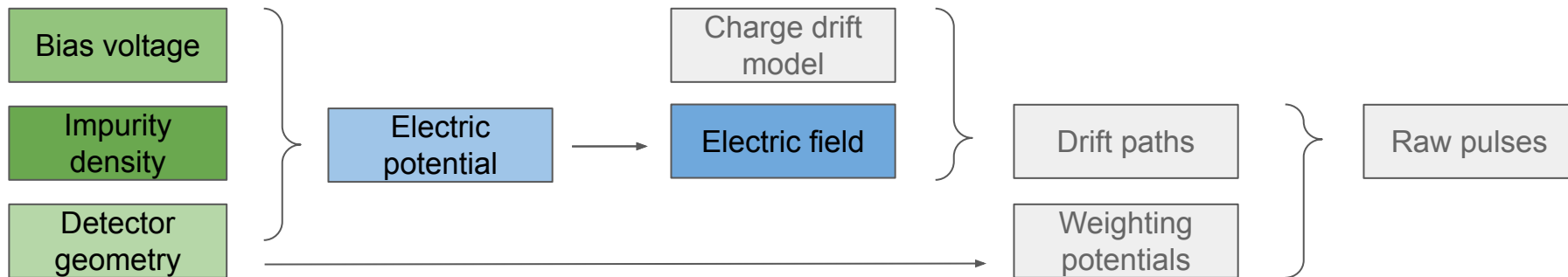


Electric Field Calculation

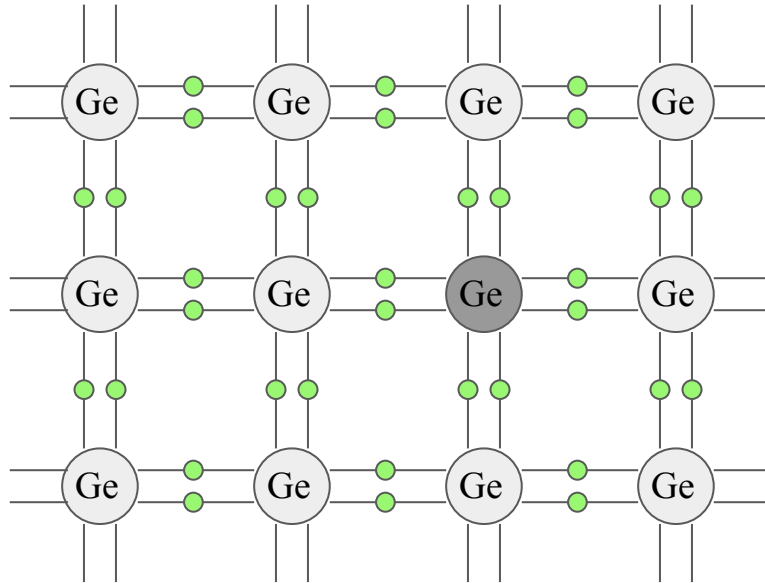
julia > calculate_electric_field!(sim)



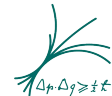
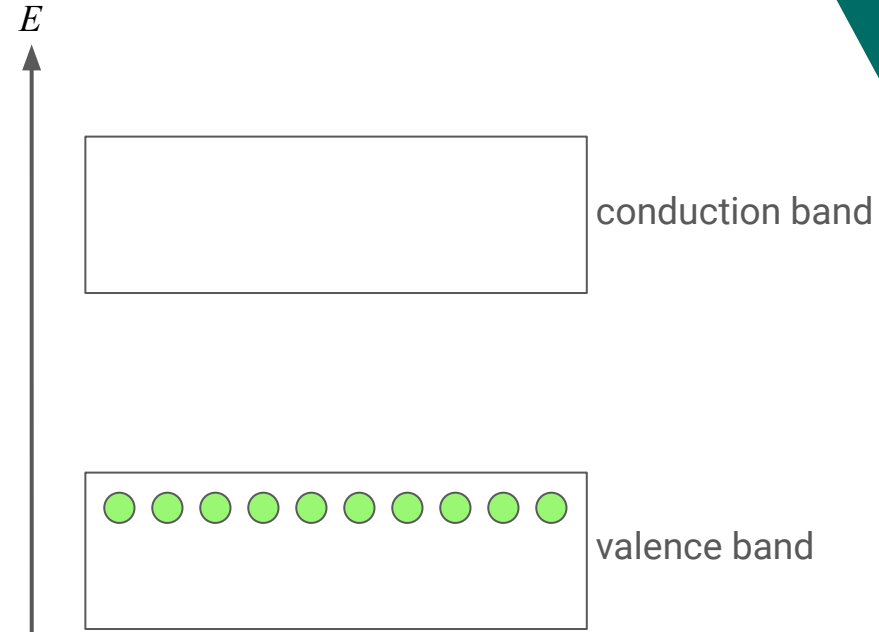
Pulse Shape Simulation Chain



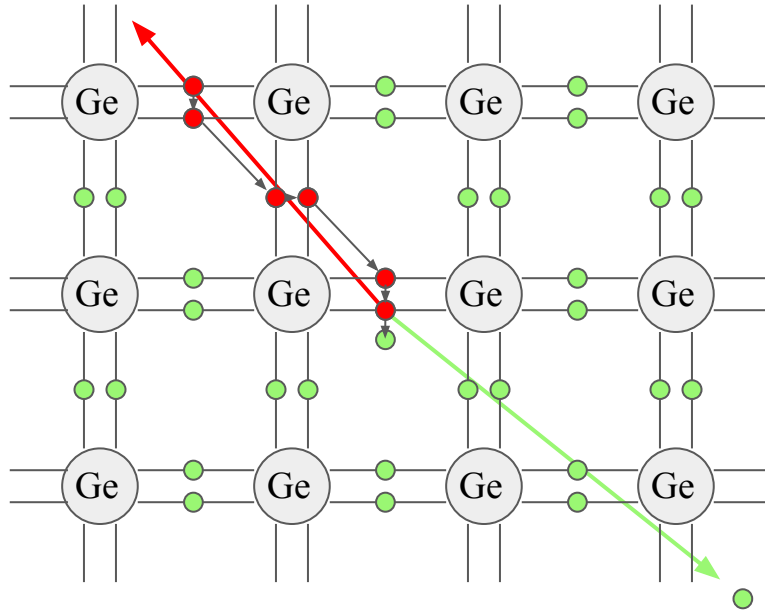
Charge Drift Models



● electrons

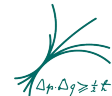
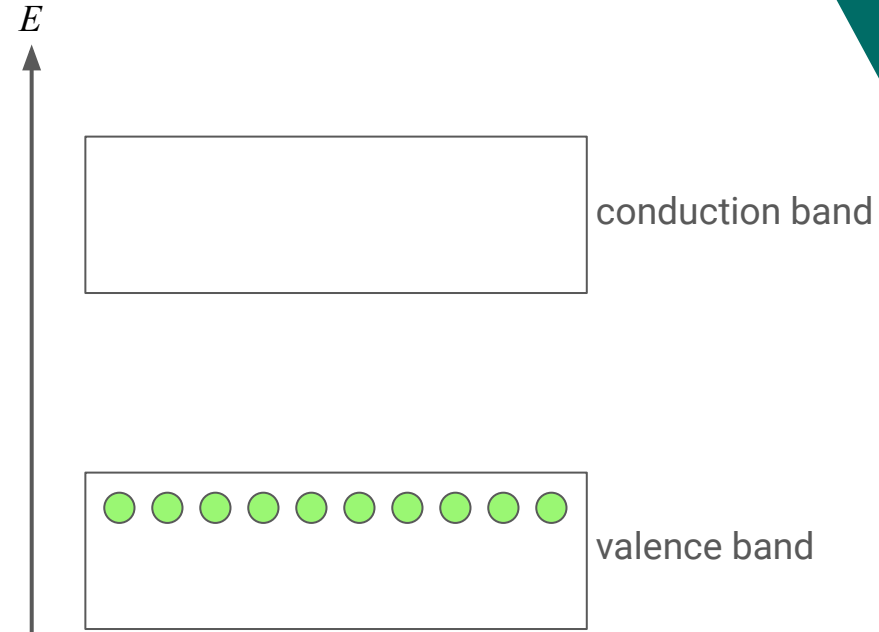


Charge Drift Models

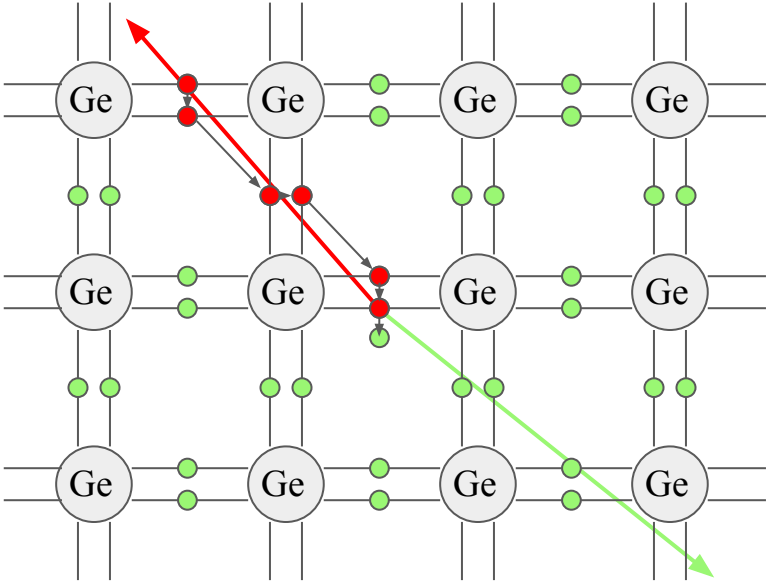


● electrons

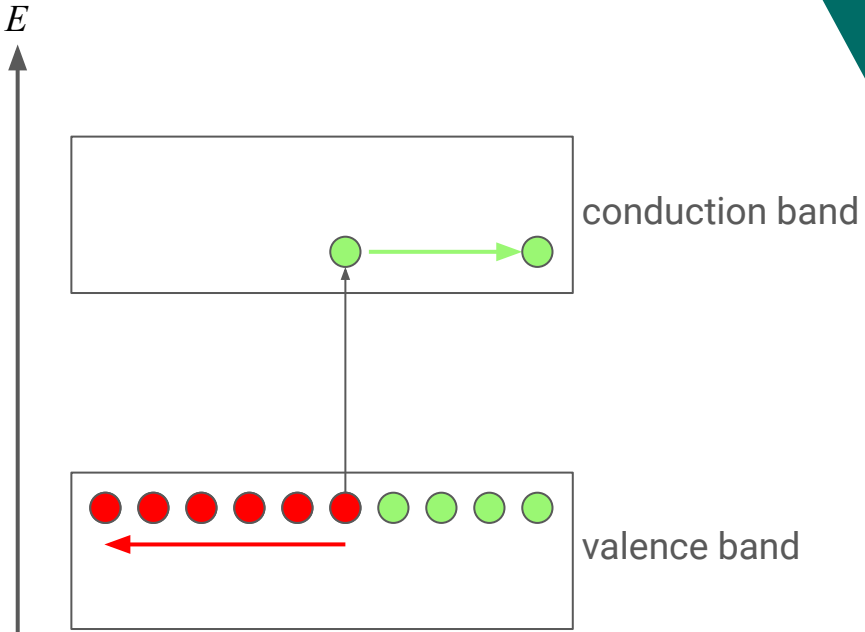
● holes



Charge Drift Models



- electrons
- holes



one electron-hole pair per 2.96eV



Charge Drift Models

Charge carriers in germanium move in the presence of an electric field

Drift velocity of electrons and holes:

is the mobility tensor:

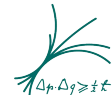
- saturates for high electric field strengths
- anisotropic in germanium
- temperature dependent

There are models for :

L. Mihailescu *et al.*, Nucl. Instr. and Meth. A **447** (2000) 350, doi: [10.1016/S0168-9002\(99\)01286-3](https://doi.org/10.1016/S0168-9002(99)01286-3)

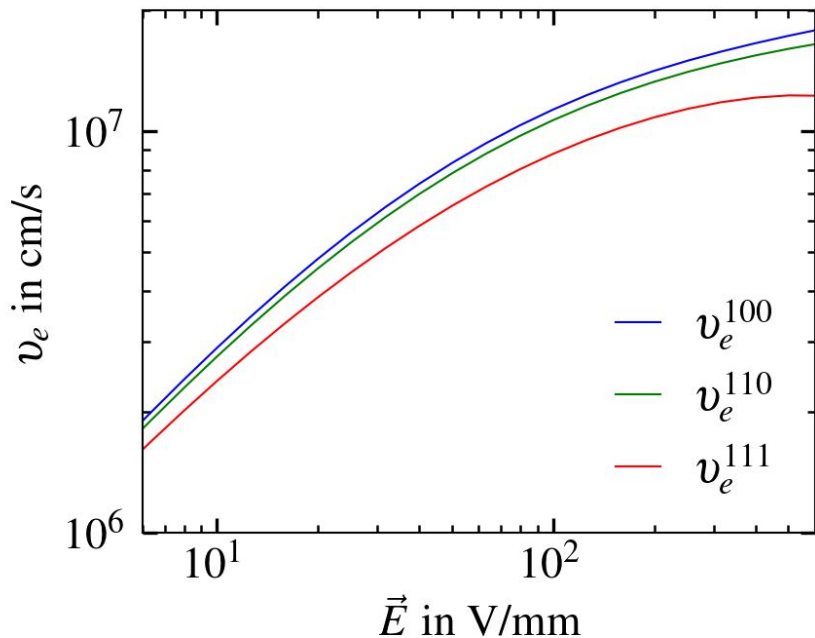
B. Bruyneel *et al.*, Nucl. Instr. and Meth. A **569** (2006) 764, doi: [10.1016/j.nima.2006.08.130](https://doi.org/10.1016/j.nima.2006.08.130)

but usually parameters of the models have to be fitted to each individual detector

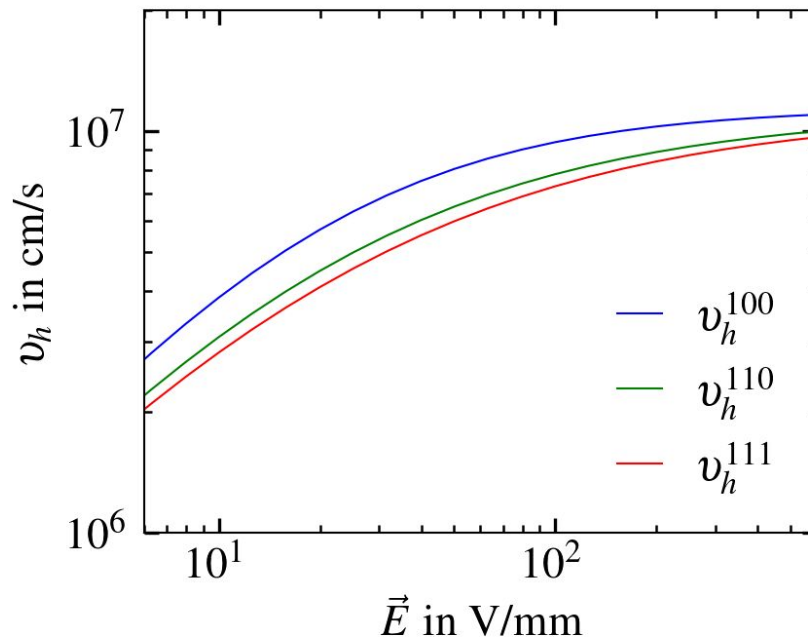


Charge Drift Models

Electron drift in germanium



Hole drift in germanium



SSD offers a predefined model
doi: [10.1016/j.nima.2006.08.130](https://doi.org/10.1016/j.nima.2006.08.130)



Charge Drift Models

```
 julia > cdm = ADLChargeDriftModel()
```

```
 julia > sim.detector = SolidStateDetector(sim.detector, cdm)
```

Custom Charge Drift Model

The user can implement and use his own drift model.

The first step is to define a struct for the model which is a subtype of `SolidStateDetectors.AbstractChargeDriftModel`:

```
using SolidStateDetectors
using SolidStateDetectors: SSDFloat, AbstractChargeDriftModel
using StaticArrays

struct CustomChargeDriftModel{T <: SSDFloat} <: AbstractChargeDriftModel{T}
    # optional fields to parameterize the model
end
```

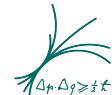
The second step is to define two methods (`getVe` for electrons and `getVh` for holes), which perform the transformation of an electric field vector, `fv::SVector{3, T}`, into a velocity vector. Note, that the vectors are in cartesian coordinates, independent of the coordinate system (cartesian or cylindrical) of the simulation.

```
function SolidStateDetectors.getVe(fv::SVector{3, T}, cdm::CustomChargeDriftModel)::SVector{3, T}
    # arbitrary transformation of fv
    return -fv
end

function SolidStateDetectors.getVh(fv::SVector{3, T}, cdm::CustomChargeDriftModel)::SVector{3, T}
    # arbitrary transformation of fv
    return fv
end
```

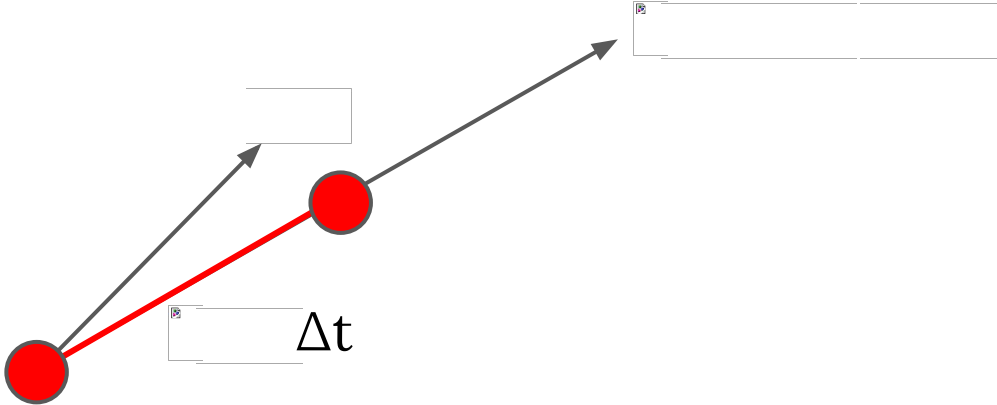
[Documentation](#) on GitHub

<https://juliaphysics.github.io/SolidStateDetectors.jl/stable/>



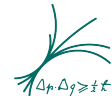
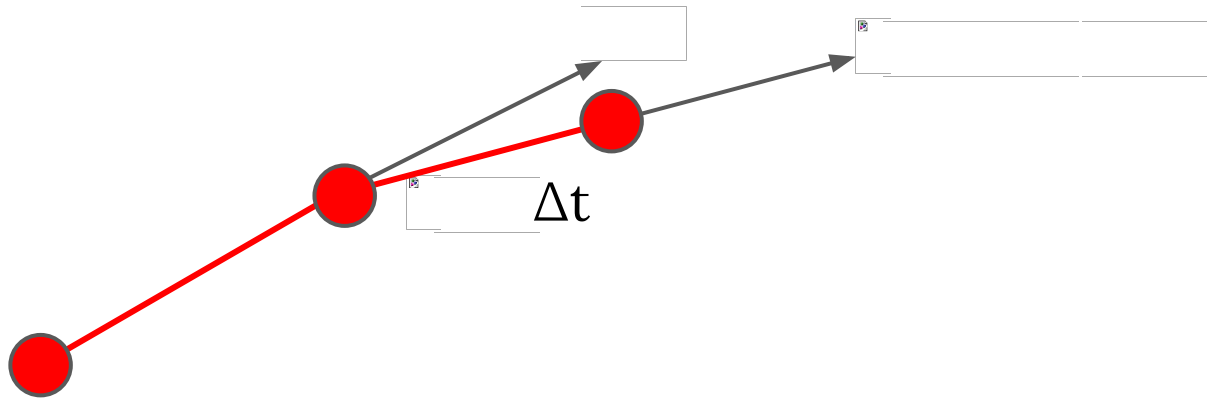
Charge Drift Simulation

Drift velocity for electrons and holes:



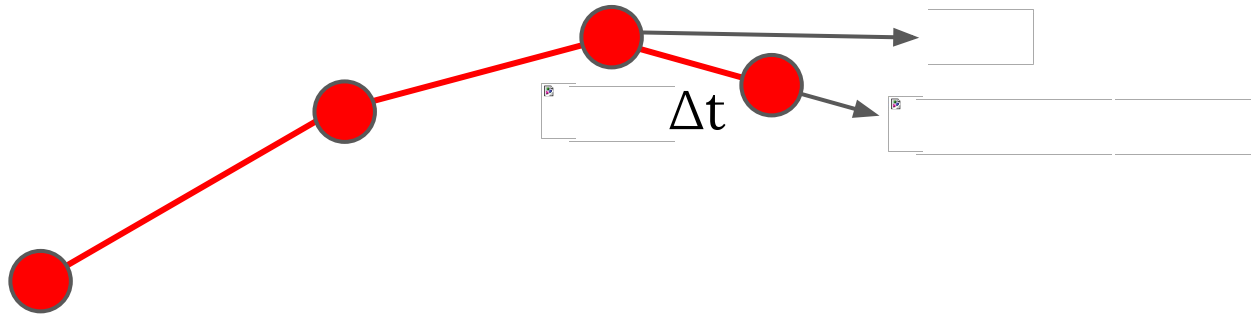
Charge Drift Simulation

Drift velocity for electrons and holes:



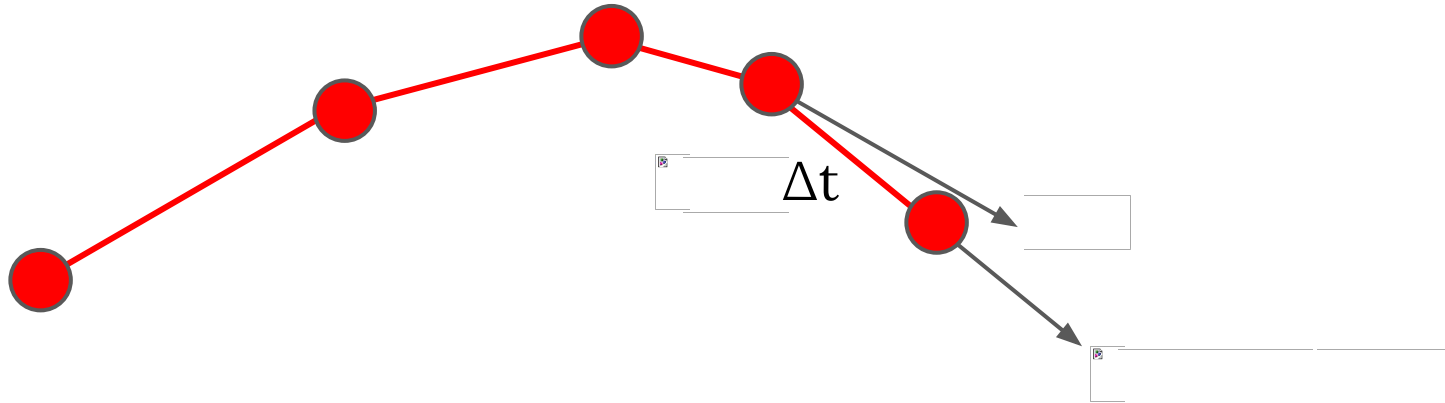
Charge Drift Simulation

Drift velocity for electrons and holes:



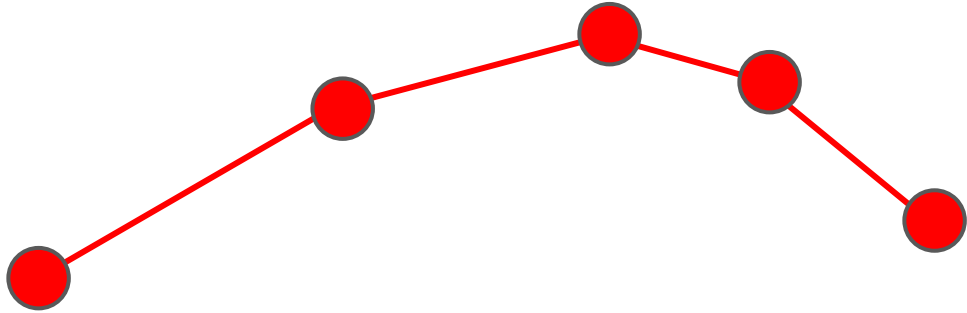
Charge Drift Simulation

Drift velocity for electrons and holes:



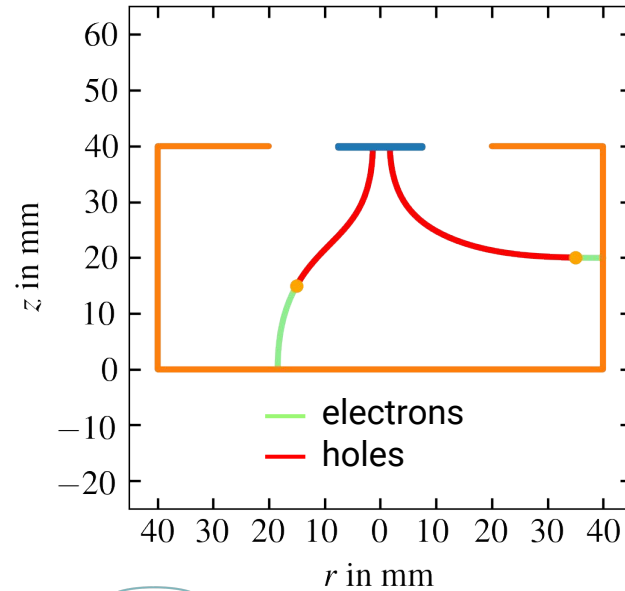
Charge Drift Simulation

Drift velocity for electrons and holes:



Charge Drift Simulation

```
julia > locations = [CartesianPoint(0.035,0,0.02), CartesianPoint(-0.015,0,0.015)]  
julia > energies = [1000u"keV", 300u"keV"]  
julia > evt = Event(locations, energies)  
julia > drift_charges!(evt, sim)
```

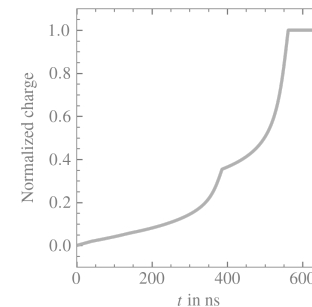
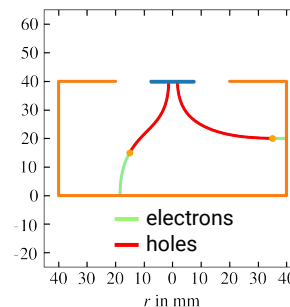
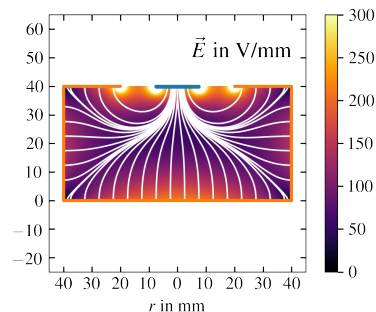
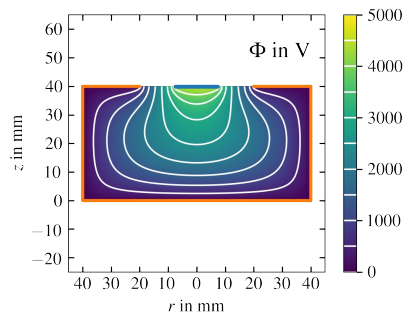
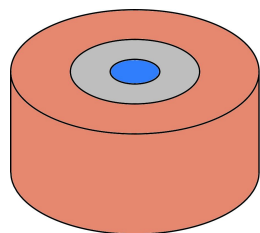
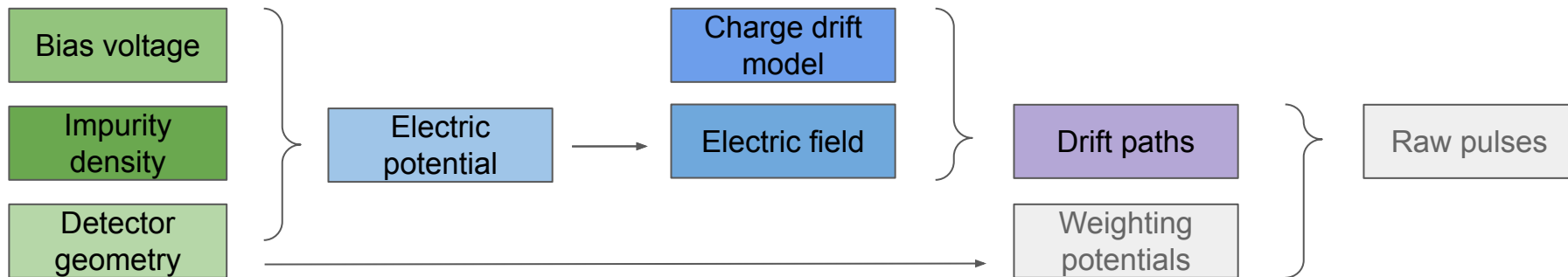


Solid
state
detectors

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Pulse Shape Simulation Chain



Weighting Potential Calculation

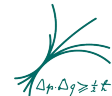
_____ is the so-called weighting potential for electrode i .

It describes how much charge is induced on the electrode depending of the position \mathbf{r} of the charge carrier in the crystal.



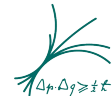
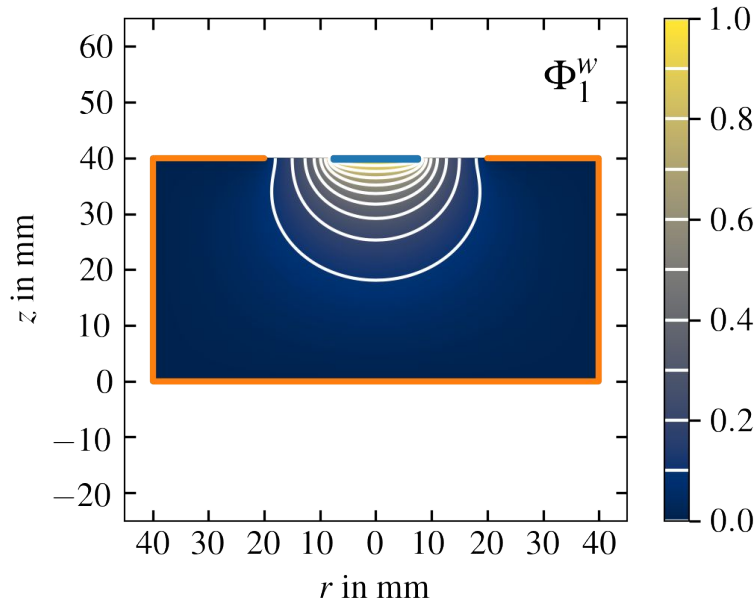
Same algorithm as for the electric potential but:

- Charge density is set to 0
- The potential values at all contacts are set to 0, but only the potential value of contact i is set to 1.



Weighting Potential Calculation

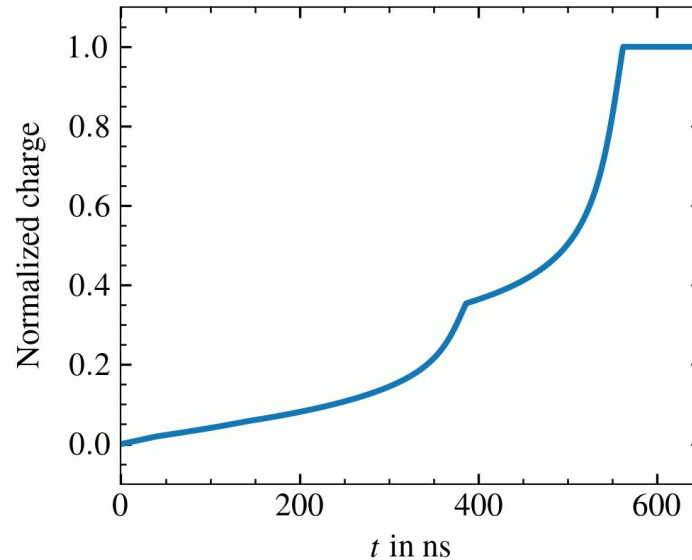
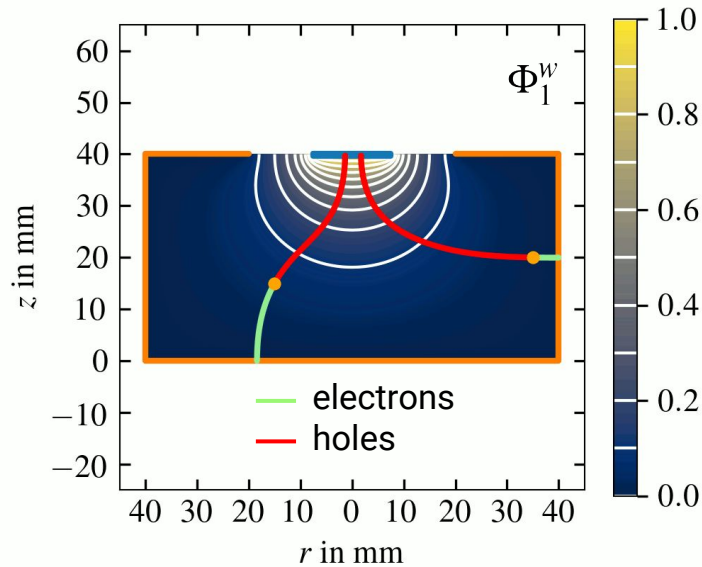
julia > calculate_weighting_potential!(sim, 1)



Signal Generation

Raw pulses

Shockley-Ramo Theorem $Q_i^{ind}(\mathbf{r}_e(t), \mathbf{r}_h(t)) = q \cdot [\Phi_i^w(\mathbf{r}_e(t)) - \Phi_i^w(\mathbf{r}_h(t))]$



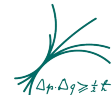
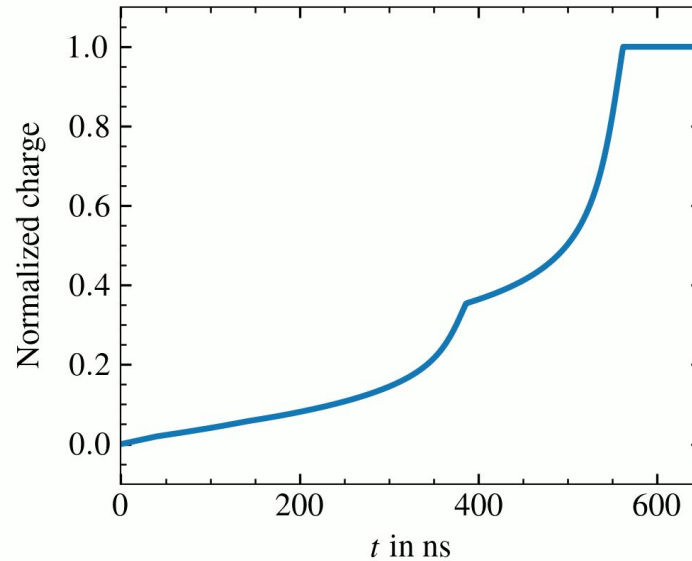
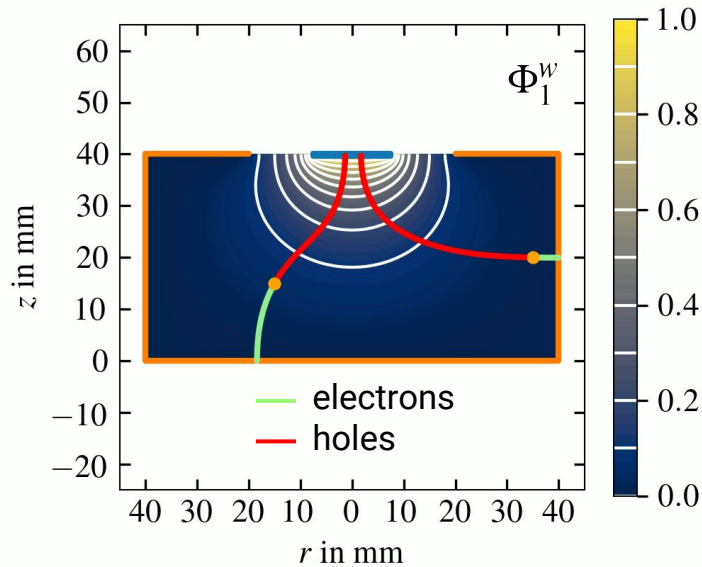
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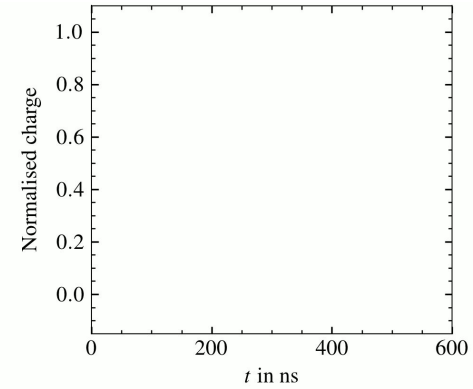
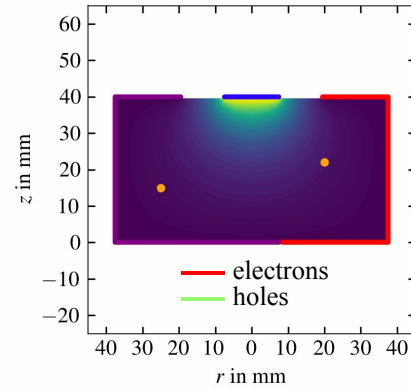
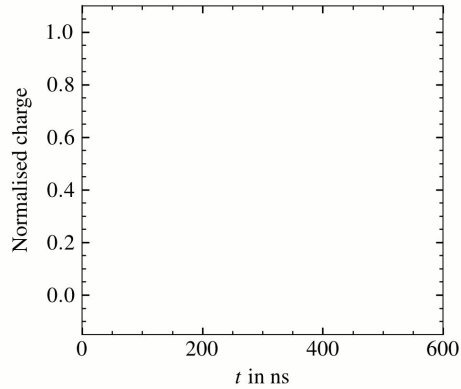
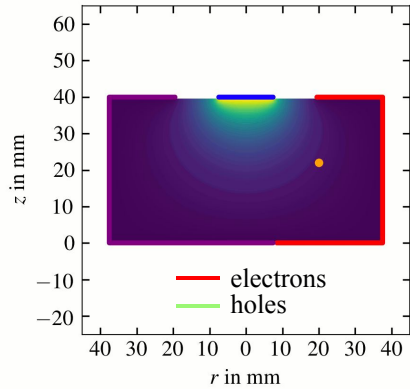
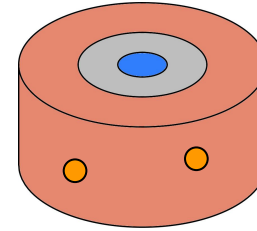
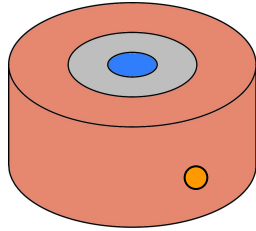
Signal Generation

Raw pulses

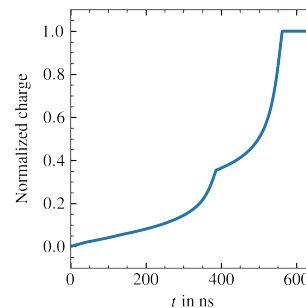
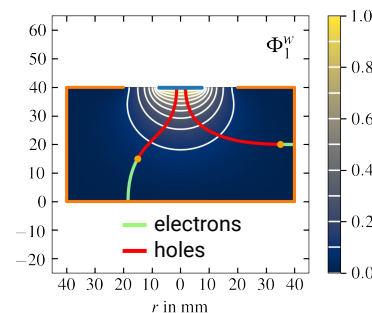
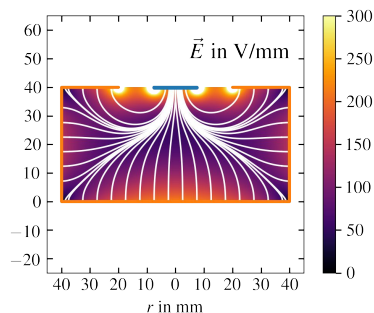
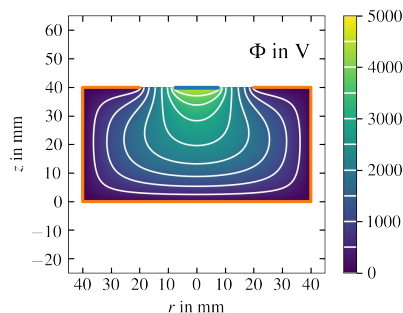
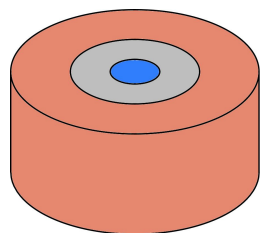
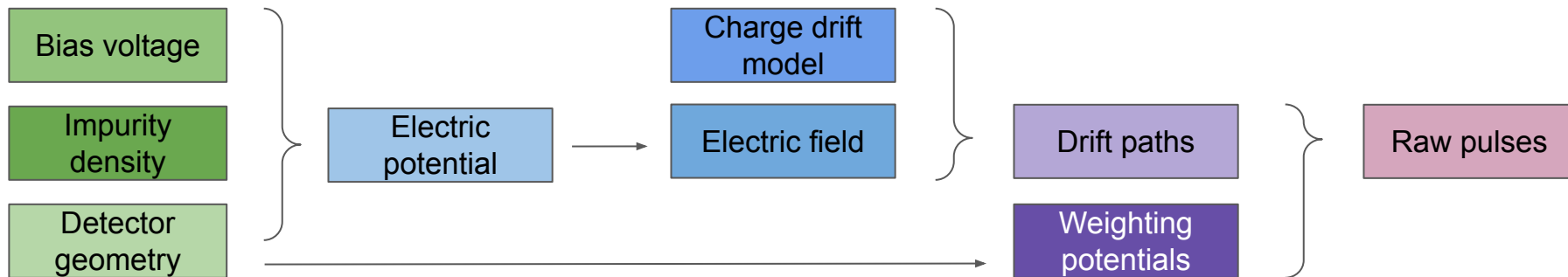
`julia > simulate!(evt, sim)`



Single-site events / multi-site events

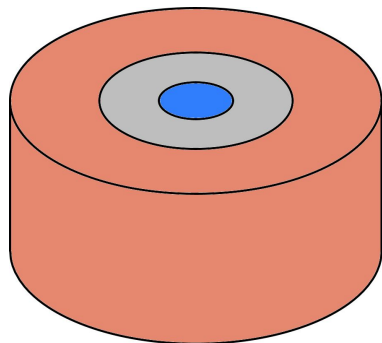


Pulse Shape Simulation Chain



Code examples

Describing the Geometry in a Configuration File



```

detectors:
- semiconductor:
  material: HPGe
  impurity_density:
    name: constant
    value: -1e10cm^-3
  charge_drift_model:
    include: ADLChargeDriftModel/drift_velocity_config.yaml
  geometry:
    translate:
      tube:
        r: 40
        h: 40
        z: 20
contacts:
- name: Core
  material: HPGe
  id: 1
  potential: -4500
  geometry:
    tube:
      r: 7.5
      h: 0.3
      origin:
        z: 39.85

```

```

name: Mantle
material: HPGe
id: 2
potential: 0
geometry:
  union:
  - tube:
    r:
      from: 0
      to: 40
    h: 0
  - tube:
    r:
      from: 40
      to: 40
    h: 40
    origin:
      z: 20
  - tube:
    r:
      from: 20
      to: 40
    h: 0
    origin:
      z: 40

```



Configuration File

```

name: Point-contact detector
units:
  length: mm
  angle: deg
  potential: V
  temperature: K
grid:
  coordinates: cylindrical
  axes:
    r:
      to: 60
      boundaries: inf
    phi:
      from: 0
      to: 0
      boundaries:
        left: periodic
        right: periodic
    z:
      from: -20
      to: 60
      boundaries:
        left: inf
        right: inf
  medium: vacuum
  
```

```

detectors:
- semiconductor:
  material: HPGe
  impurity_density:
    name: constant
    value: -1e10cm^-3
  charge_drift_model:
    include: ADLChargeDriftModel/drift_velocity_config.yaml
  geometry:
    translate:
      tube:
        r: 40
        h: 40
        z: 20
- contacts:
  name: Core
  material: HPGe
  id: 1
  potential: -4500
  geometry:
    tube:
      r: 7.5
      h: 0.3
      origin:
        z: 39.85
  
```

```

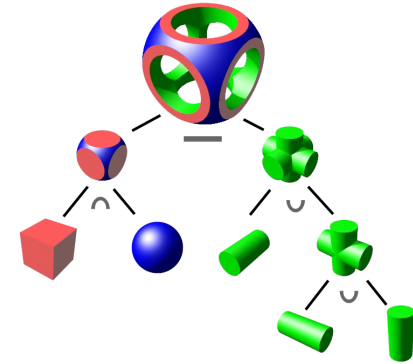
- name: Mantle
  material: HPGe
  id: 2
  potential: 0
  geometry:
    union:
      - tube:
        r:
          from: 0
          to: 40
        h: 0
      - tube:
        r:
          from: 40
          to: 40
        h: 40
        origin:
          z: 20
      - tube:
        r:
          from: 20
          to: 40
        h: 0
        origin:
          z: 40
  
```

Impurity density

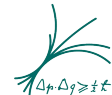
Charge drift model

Bias voltage

Detector geometry




Constructive Solid Geometry
[Documentation](#) on GitHub



Documentation on GitHub

Find the latest version of the documentation on GitHub:

<https://juliaphysics.github.io/SolidStateDetectors.jl/stable/>



SolidStateDetectors.jl

- Electric Potential
- Electric Field
- Charge Drift
- Weighting Potentials
- Capacitances
- IO
- Plotting
- Tutorials

Simulation Chain: Inverted Coax Detector

- Partially depleted detectors
- Electric field calculation
- Simulation of charge drifts
- Weighting potential calculation
- Detector Capacitance Matrix
- Detector waveform generation

Advanced Example: Custom Impurity Profile

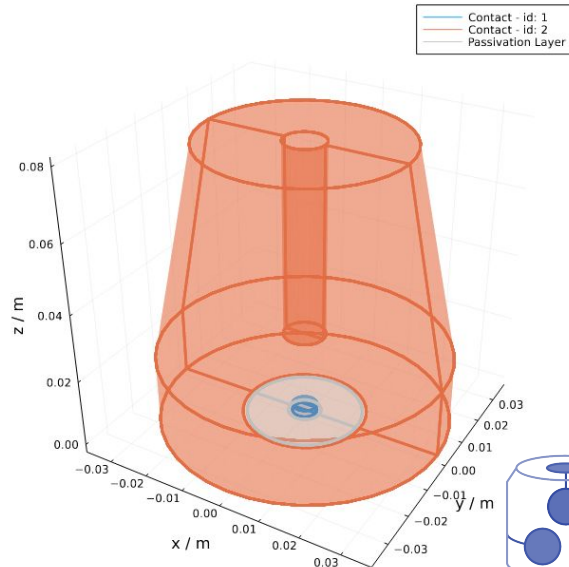
API
LICENSE

Simulation Chain: Inverted Coax Detector

```
using Plots
using SolidStateDetectors
using Unitful

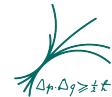
T = Float32
sim = Simulation{T}(SSD_examples[:InvertedCoax])

plot(sim.detector, size = (700, 700))
```



Julia
Physics

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Pulse Shape Simulation Chain

julia > using SolidStateDetectors, Unitful



Pulse Shape Simulation Chain

julia > using SolidStateDetectors, Unitful

julia > sim = Simulation{Float64}("BEGe.yaml")

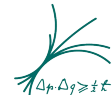
julia > calculate_electric_potential!(sim)

julia > calculate_electric_field!(sim)

julia > for i in 1:2

 calculate_weighting_potential!(sim, i)

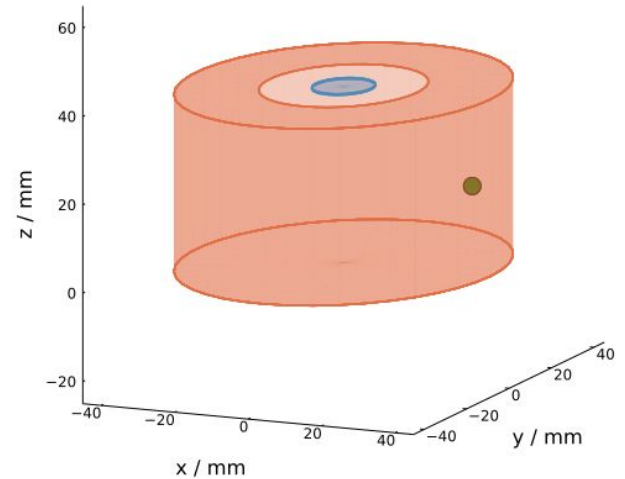
end



Pulse Shape Simulation Chain

```
julia > using SolidStateDetectors, Unitful
julia > sim = Simulation{Float64}("BEGe.yaml")
julia > calculate_electric_potential!(sim)
julia > calculate_electric_field!(sim)
julia > for i in 1:2
            calculate_weighting_potential!(sim, i)
        end

julia > locations = [CartesianPoint(0.035,0,0.02)]
julia > energies = [1000u"keV"]
julia > evt = Event(locations, energies)
julia > simulate!(evt, sim)
```



Undepleted detectors – calculating capacitances

```
julia > using SolidStateDetectors, Unitful
```

```
julia > sim = Simulation{Float64}("BEGe.yaml")
```

```
julia > sim.detector = SolidStateDetector(sim, contact_potential = 500, contact_id = 1)
```

```
julia > calculate_electric_potential!(sim, depletion_handling = true)
```

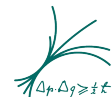
```
julia > calculate_electric_field!(sim)
```

```
julia > for i in 1:2
```

```
    calculate_weighting_potential!(sim, i, depletion_handling = true)
```

```
end
```

```
julia > calculate_mutual_capacitance(sim, (1, 2))
```



GPU support

```
julia > using SolidStateDetectors, Unitful
```

```
julia > using CUDAKernels, CUDA
```

```
julia > sim = Simulation{Float64}("BEGe.yaml")
```

```
julia > calculate_electric_potential!(sim, device_array_type = CuArray)
```

```
julia > calculate_electric_field!(sim)
```

```
julia > for i in 1:2
```

```
    calculate_weighting_potential!(sim, i, device_array_type = CuArray)  
end
```

```
julia > locations = [CartesianPoint(0.035,0,0.02)]
```

```
julia > energies = [1000u"keV"]
```

```
julia > evt = Event(locations, energies)
```

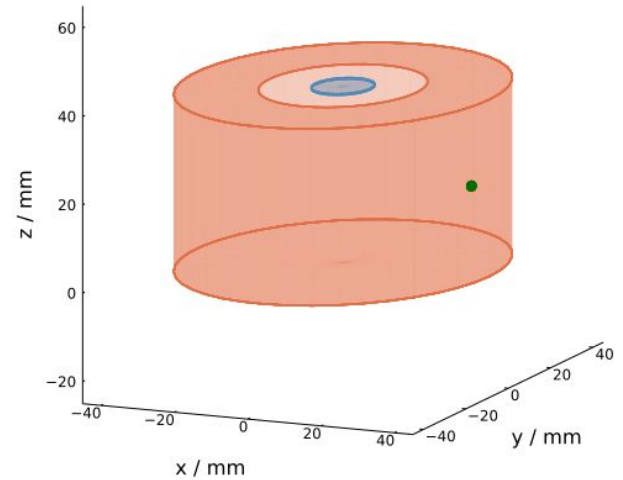
```
julia > simulate!(evt, sim)
```



Simulating Group Effects

```
julia > using SolidStateDetectors, Unitful
julia > sim = Simulation{Float64}("BEGe.yaml")
julia > calculate_electric_potential!(sim)
julia > calculate_electric_field!(sim)
julia > for i in 1:2
            calculate_weighting_potential!(sim, i)
        end
```

```
julia > locations = [CartesianPoint(0.035,0,0.02)]
julia > energies = [1000u"keV"]
julia > evt = Event(NBodyChargeCloud(locations, energies, 100))
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



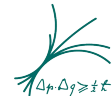
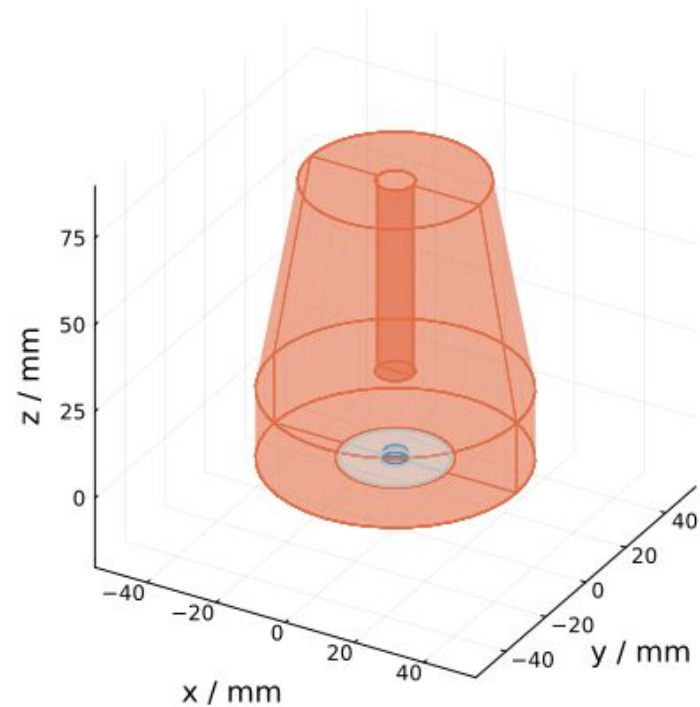
Support for Geant4.jl

julia > using SolidStateDetectors, Unitful

julia > using **Geant4**

julia > sim = Simulation{Float64}("ivc.yaml")

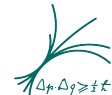
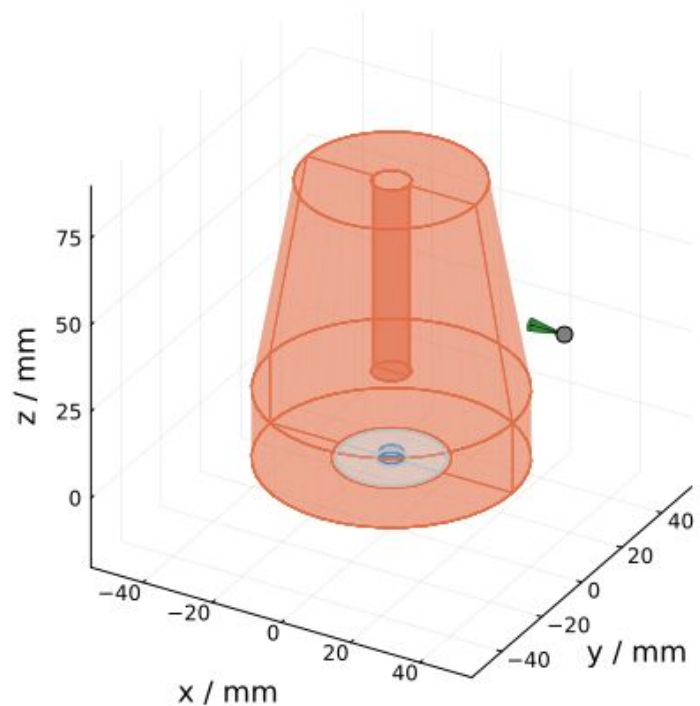
julia > simulate!(sim)



Support for Geant4.jl

```
julia > using SolidStateDetectors, Unitful
julia > using Geant4
julia > sim = Simulation{Float64}("ivc.yaml")
julia > simulate!(sim)

julia > source = MonoenergeticSource(
    "gamma", 2.615u"MeV",
    CartesianPoint(0.05, 0.0, 0.05),
    CartesianVector(-1, 0, 0),
    10u"o"
)
```



Support for Geant4.jl

```
julia > using SolidStateDetectors, Unitful
```

```
julia > using Geant4
```

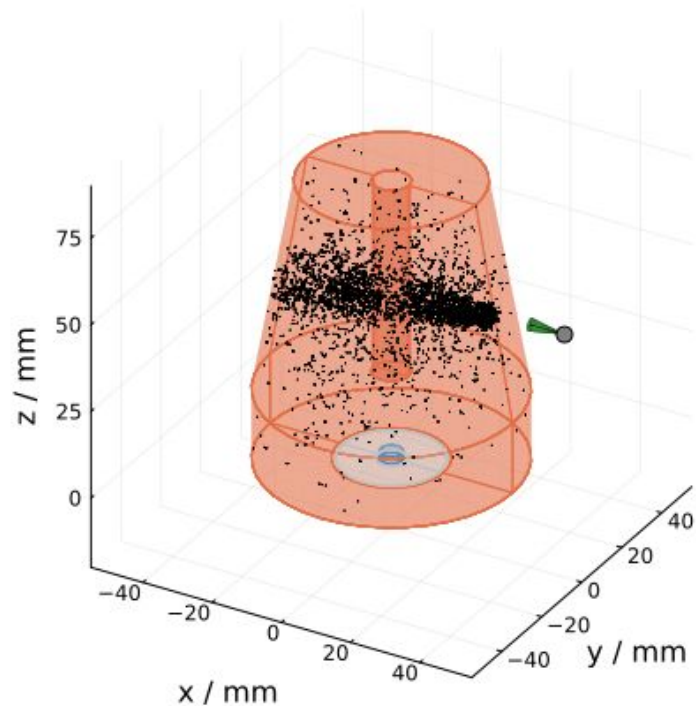
```
julia > sim = Simulation{Float64}("ivc.yaml")
```

```
julia > simulate!(sim)
```

```
julia > source = MonoenergeticSource(  
    "gamma", 2.615u"MeV",  
    CartesianPoint(0.05, 0.0, 0.05),  
    CartesianVector(-1, 0, 0),  
    10u"o"  
)
```

```
julia > app = G4JLApplication(sim, source)
```

```
julia > evts = run_geant4_simulations(app, 10000)
```



Support for Geant4.jl

```
julia > using SolidStateDetectors, Unitful
```

```
julia > using Geant4
```

```
julia > sim = Simulation{Float64}("ivc.yaml")
```

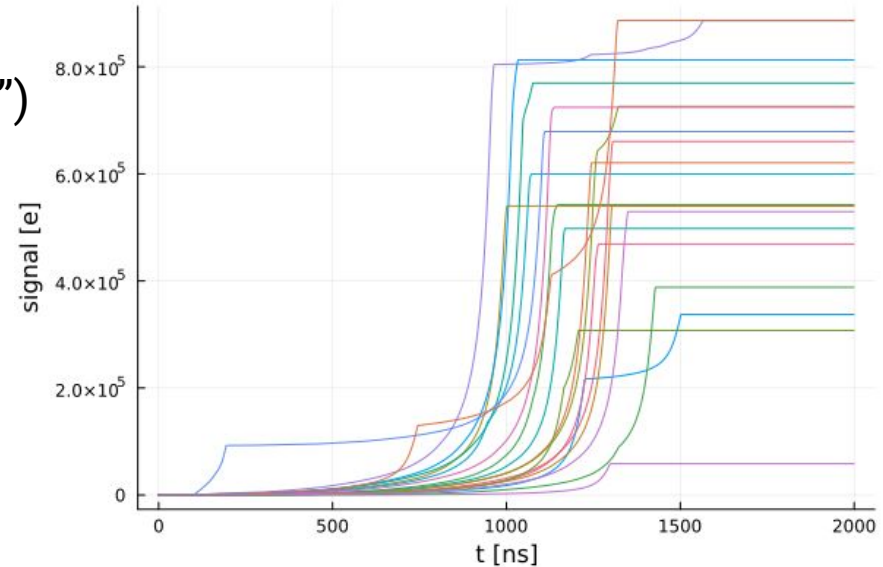
```
julia > simulate!(sim)
```

```
julia > source = MonoenergeticSource(  
    "gamma", 2.615u"MeV",  
    CartesianPoint(0.05, 0.0, 0.05),  
    CartesianVector(-1, 0, 0),  
    10u"o"  
)
```

```
julia > app = G4JLApplication(sim, source)
```

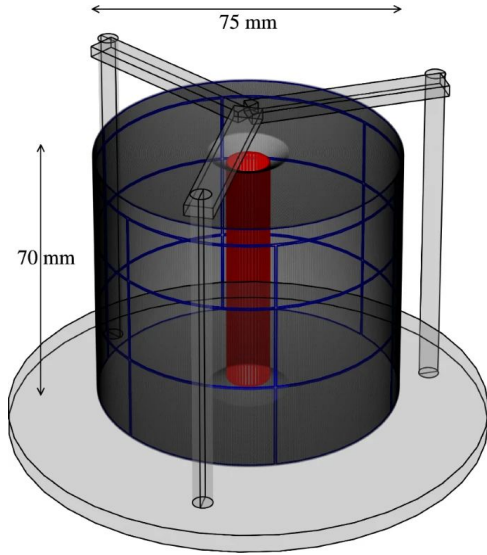
```
julia > evts = run_geant4_simulations(app, 10000)
```

```
julia > simulate_waveforms(sim, evts)
```

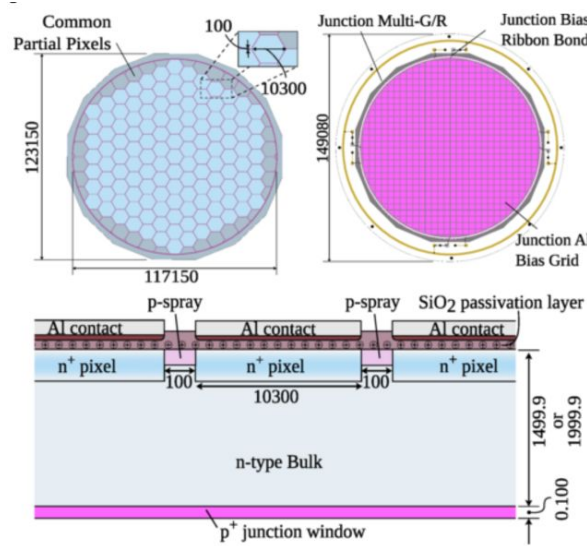


Applications

Publications using SolidStateDetectors.jl

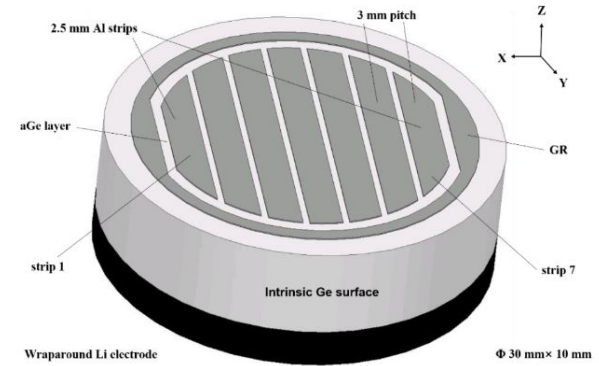


DOI: [10.1140/epjc/s10052-023-11509-8](https://doi.org/10.1140/epjc/s10052-023-11509-8)

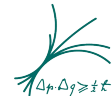


DOI: [10.1103/PhysRevC.107.065503](https://doi.org/10.1103/PhysRevC.107.065503)

DOI: [10.1088/1748-0221/16/08/P08007](https://doi.org/10.1088/1748-0221/16/08/P08007)



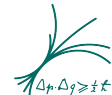
DOI: [10.1088/1748-0221/18/05/P05025](https://doi.org/10.1088/1748-0221/18/05/P05025)



SolidStateDetectors.jl

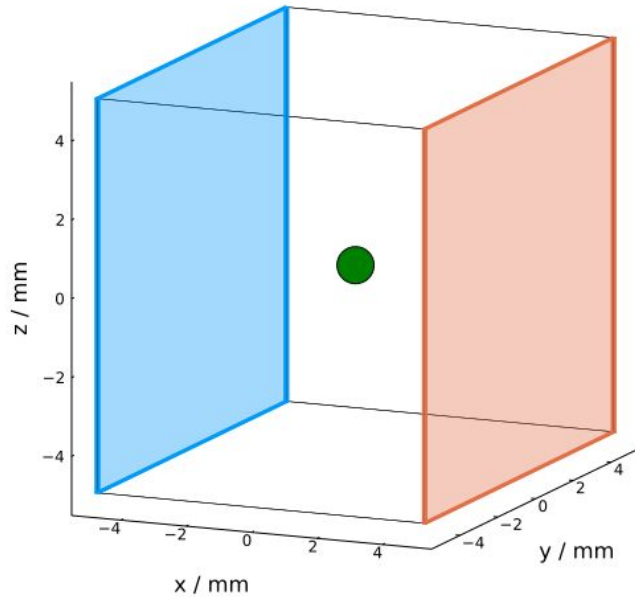


- Open-source simulation software package, written in **julia**
- 3D calculation of electric potentials and electric fields
- Can simulate arbitrary geometries, e.g. segmented detectors
- Documentation: <https://juliaphysics.github.io/SolidStateDetectors.jl/stable/>
- Fast field calculation: SIMD on CPU, also supports GPU calculation
- Calculation of capacitance matrix
- Simulation of fields in undepleted detectors \Rightarrow C-V curves
- Experimental features: diffusion and self-repulsion of charge clouds
- Recent additions: support for Geant4.jl and charge trapping models



Charge Carrier Drift in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV")
```

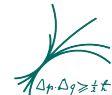


- electrons
- holes



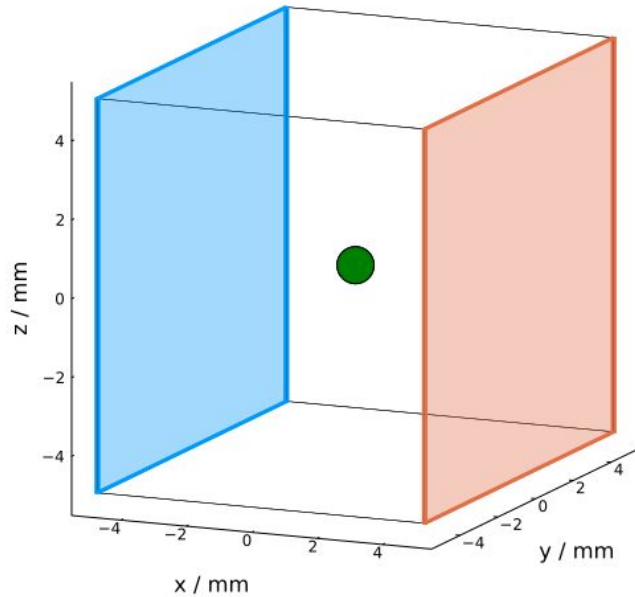
Solid
state
detectors

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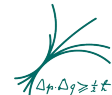


Charge Carrier Drift in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV")  
julia > simulate!(evt, sim)
```

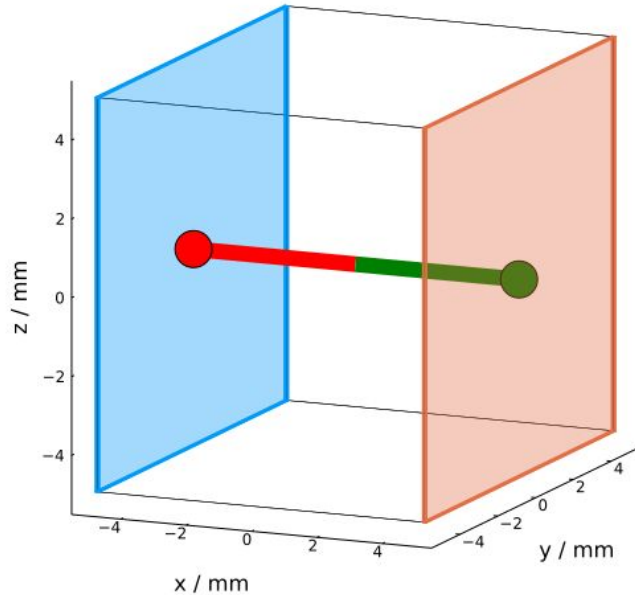


- electrons
- holes



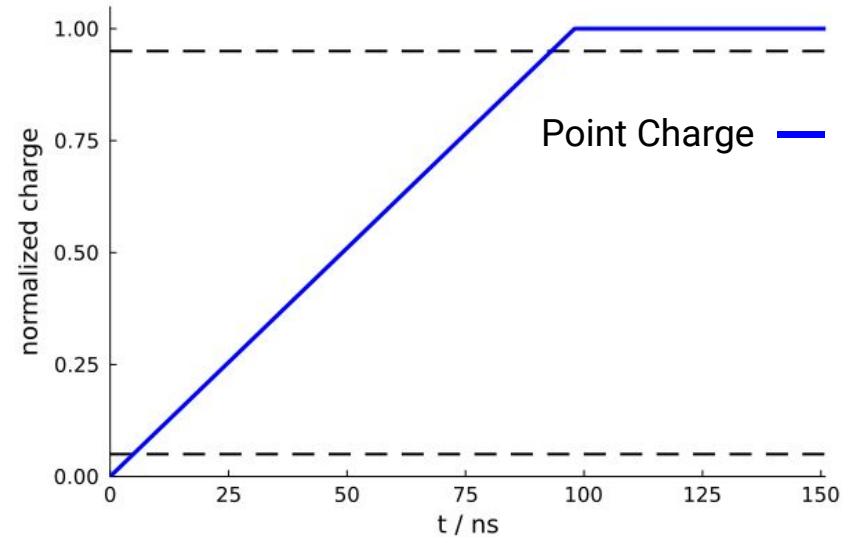
Charge Carrier Drift in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV")  
julia > simulate!(evt, sim)
```



— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



Simulating Charge Cloud Motion

- ✓ **Drift current:** Charge carrier movement caused by an external electric field $\rightarrow \vec{v}_e(\vec{r}_e) = \hat{\mu}_e \vec{E}(\vec{r}_e)$ and $\vec{v}_h(\vec{r}_h) = \hat{\mu}_h \vec{E}(\vec{r}_h)$



Simulating Charge Cloud Motion

- Drift current:** Charge carrier movement caused by an external electric field $\rightarrow \vec{v}_e(\vec{r}_e) = \hat{\mu}_e \vec{E}(\vec{r}_e)$ and $\vec{v}_h(\vec{r}_h) = \hat{\mu}_h \vec{E}(\vec{r}_h)$
- Diffusion current:** Charge carrier movement caused by variations in the charge carrier concentrations \rightarrow Diffusion equation
- Self-Repulsion:** Electrostatic repulsion of charge carriers of the same type \rightarrow Coulomb's law:
$$\vec{E}(\vec{r}) = \frac{Q}{4\pi\epsilon_0\epsilon_r} \cdot \frac{\vec{r}}{|\vec{r}|^3}$$

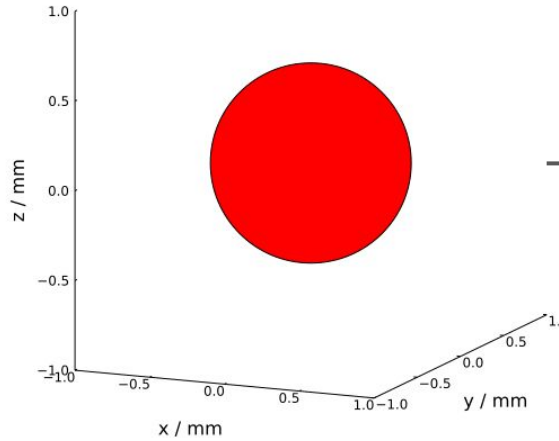


Charge Cloud Models in SolidStateDetectors.jl

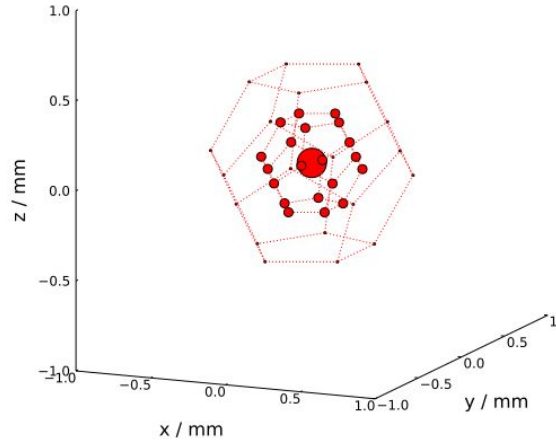
```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV")
```

```
julia > evt = Event(NBodyChargeCloud(CartesianPoint{T}(0,0,0), 2u"MeV")
```

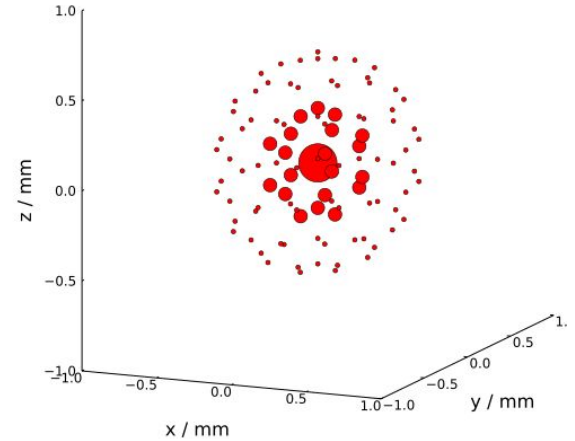
```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 100)
```



Point charge
 $N = 1$



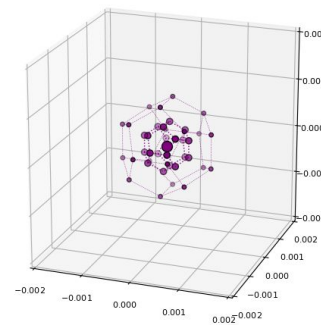
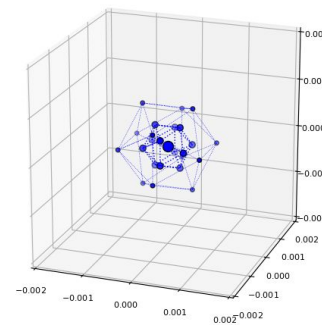
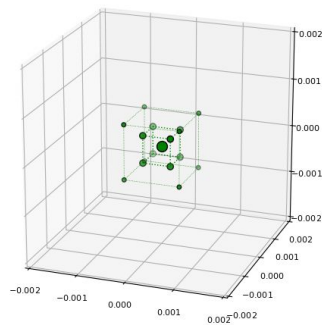
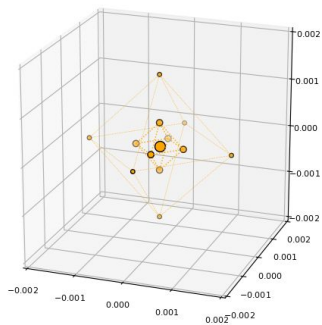
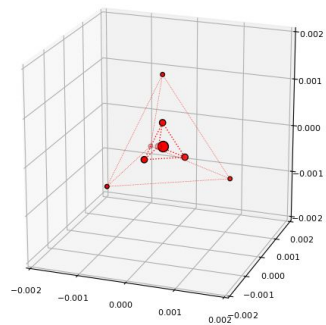
Platonic solid
 $N < 50$



Regular Sphere
 $N \geq 50$



Simulation

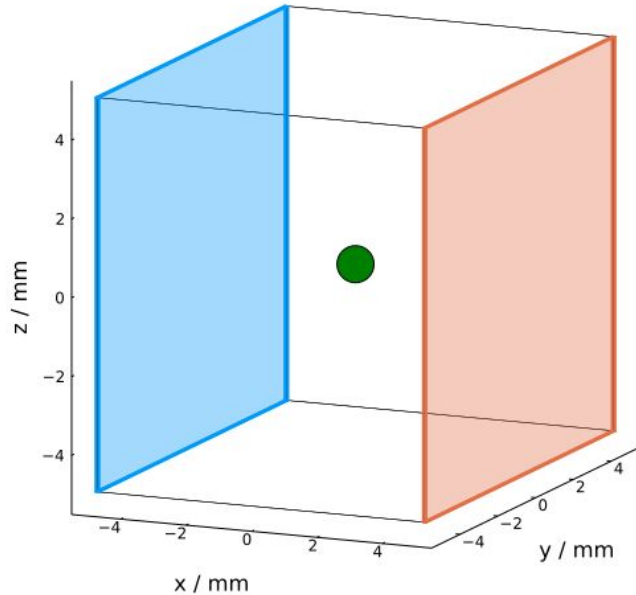


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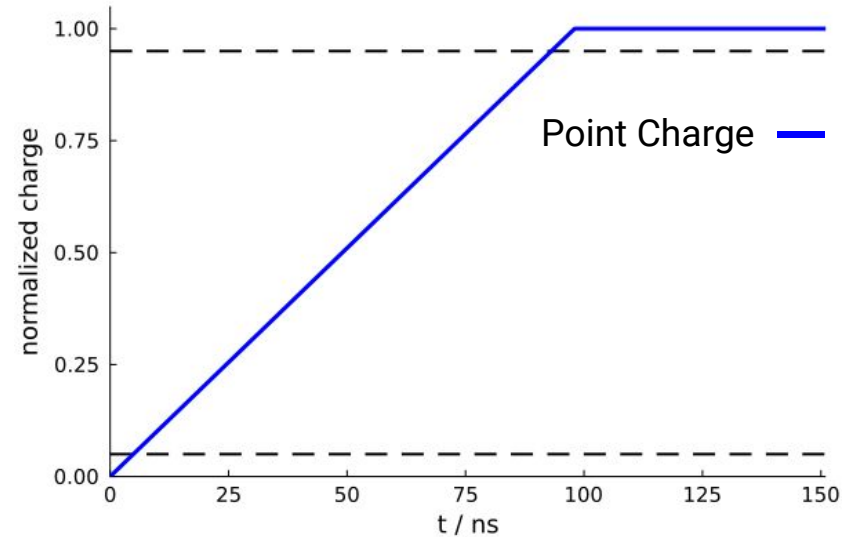


Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV")
```



```
julia > plot(evt.waveforms[1])
```

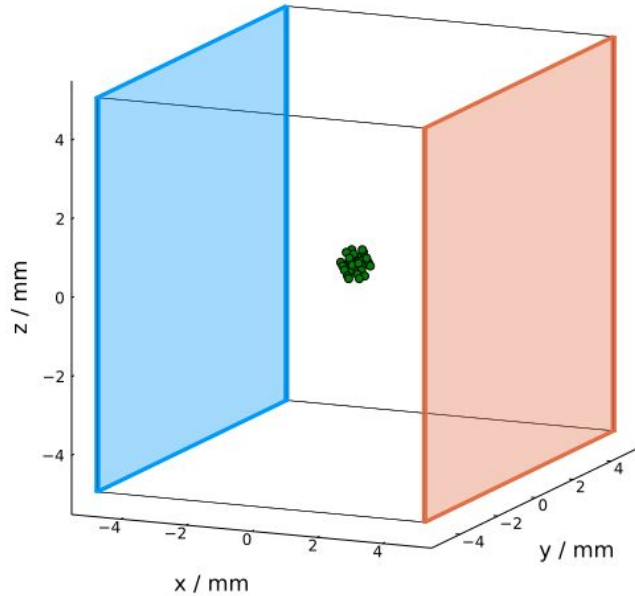


- electrons
- holes

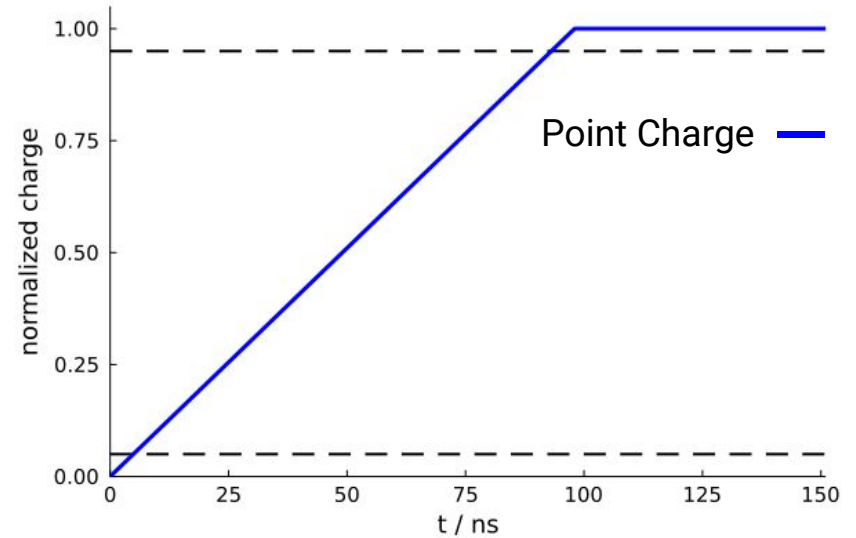


Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)
```



```
julia > plot(evt.waveforms[1])
```

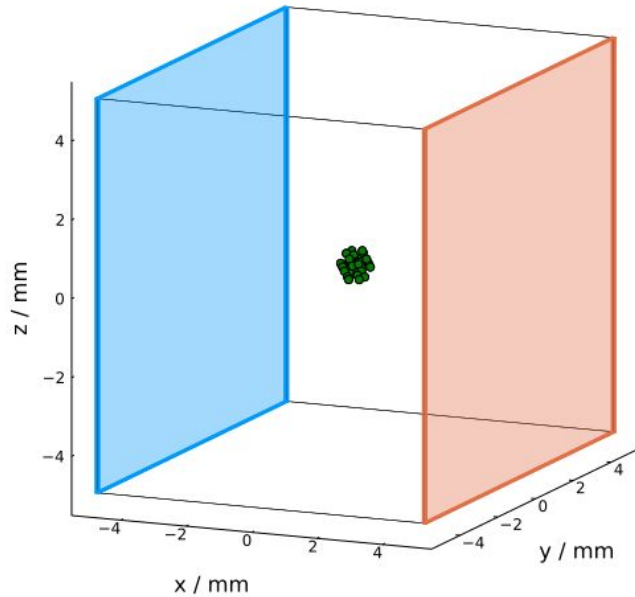


- electrons
- holes

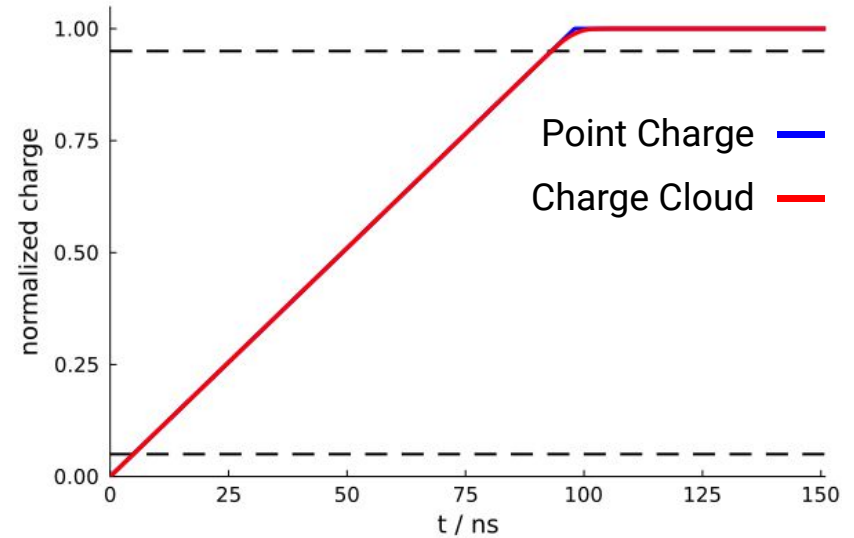


Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim)
```



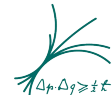
```
julia > plot(evt.waveforms[1])
```



— electrons
— holes

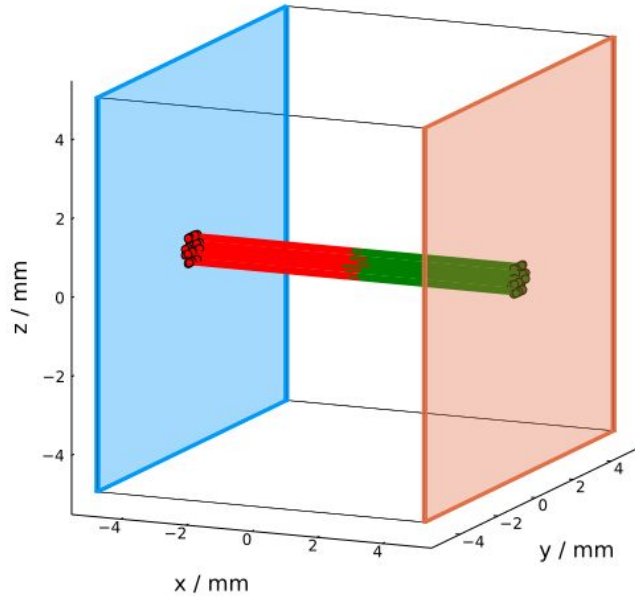


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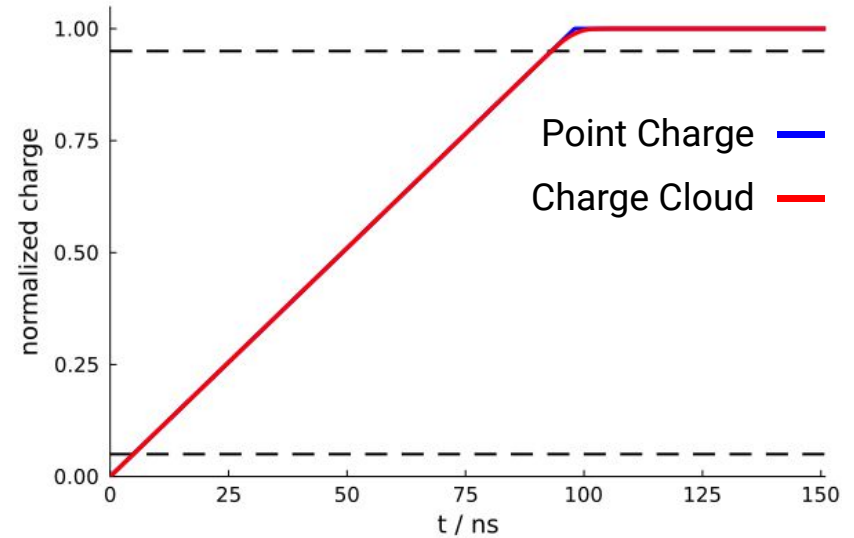
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim)
```



— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



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Simulating Diffusion

Diffusion equation: $\frac{\partial n(\vec{r}, t)}{\partial t} = -D \Delta n(\vec{r}, t)$

n = electron / hole concentration
 D = diffusion coefficient

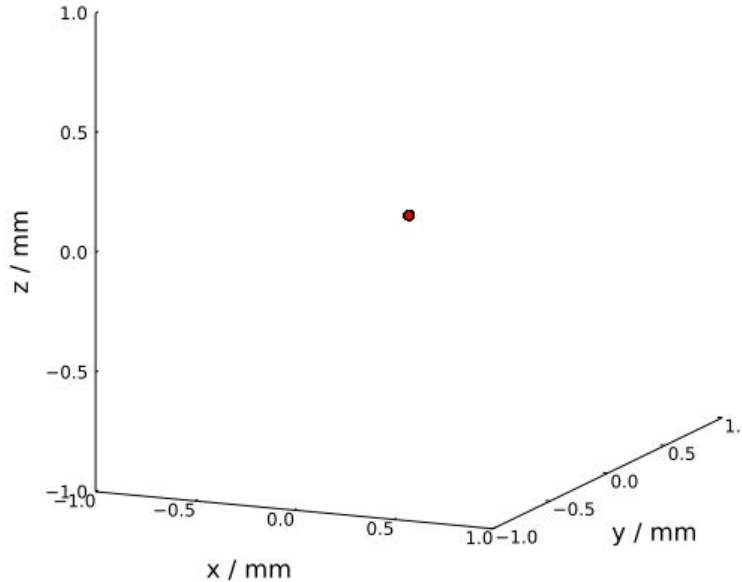
$$n(\vec{r}, t) = \frac{n_0}{4\pi Dt} \cdot \exp\left(-\frac{r^2}{4Dt}\right)$$

$$\rightarrow \sigma(t) = \sqrt{2Dt}$$



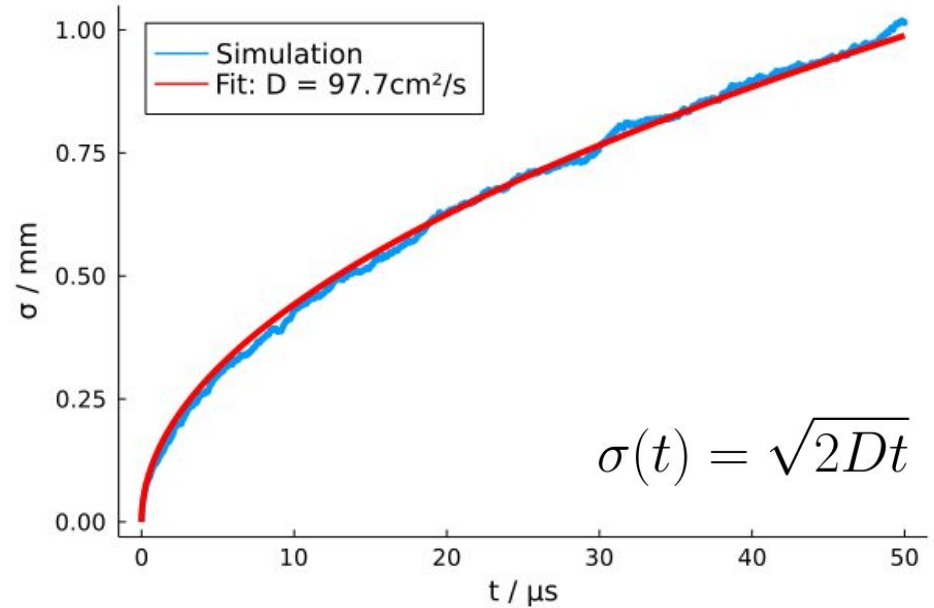
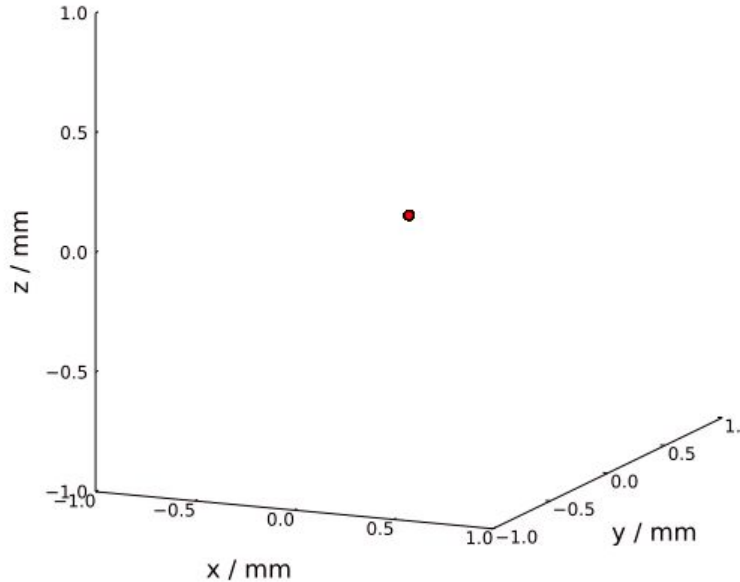
Simulating Diffusion

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 100)
```



Simulating Diffusion

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 100)  
julia > simulate!(evt, sim, diffusion = true)
```



Simulating Self-Repulsion

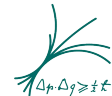
Coulomb's law:

$$\vec{E}(\vec{r}) = \frac{Q}{4\pi\epsilon_0\epsilon_r} \cdot \frac{\vec{r}}{|\vec{r}|^3}$$

\vec{E} = electric field

Q = charge

\vec{r} = distance to charge center



Simulating Self-Repulsion

Coulomb's law:

$$\vec{E}(\vec{r}) = \frac{Q}{4\pi\epsilon_0\epsilon_r} \cdot \frac{\vec{r}}{|\vec{r}|^3}$$

\vec{E} = electric field

Q = charge

\vec{r} = distance to charge center

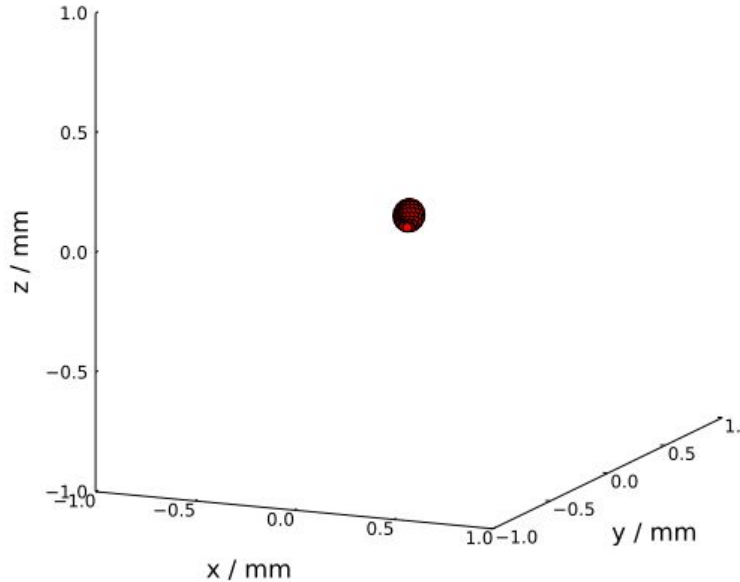
$$Q(\vec{r}, t) = \frac{4\pi\epsilon_0\epsilon_r |\vec{r}|^3}{3\mu t}$$

$$\rightarrow r = \sqrt[3]{\frac{3\mu Q t}{4\pi\epsilon_0\epsilon_r}}$$



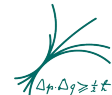
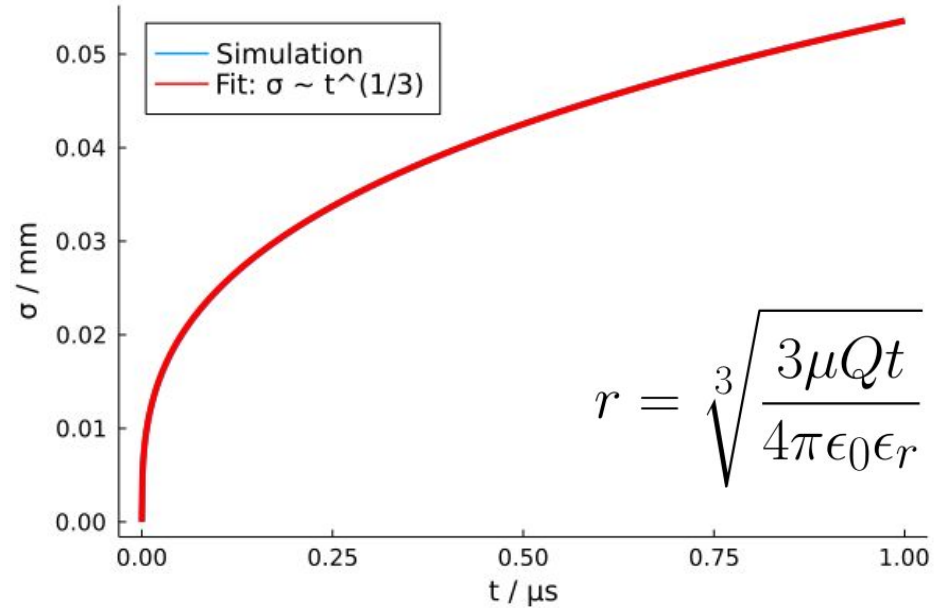
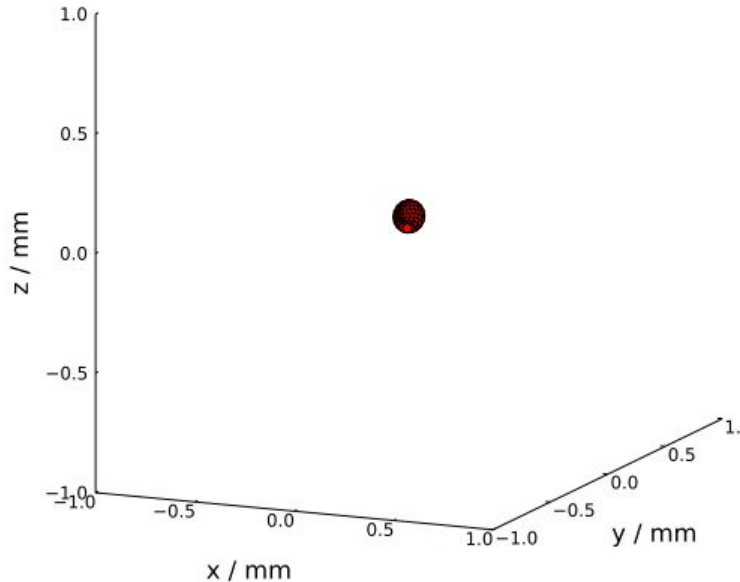
Simulating Self-Repulsion

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 100)
```



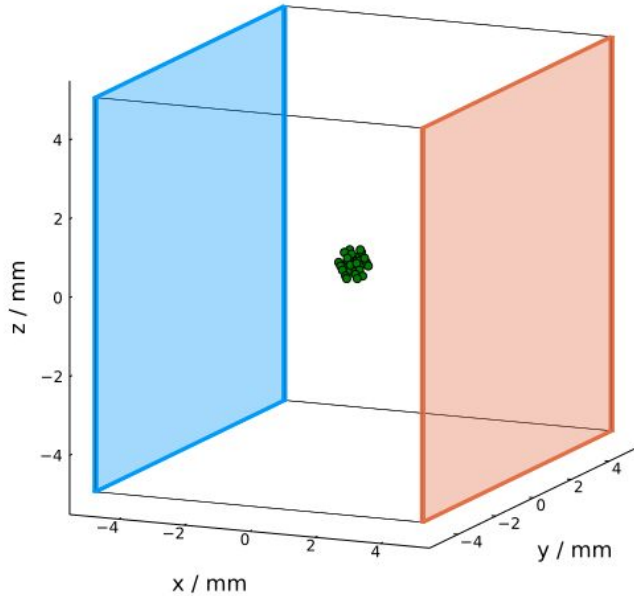
Simulating Self-Repulsion

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 100)  
julia > simulate!(evt, sim, self_repulsion = true)
```

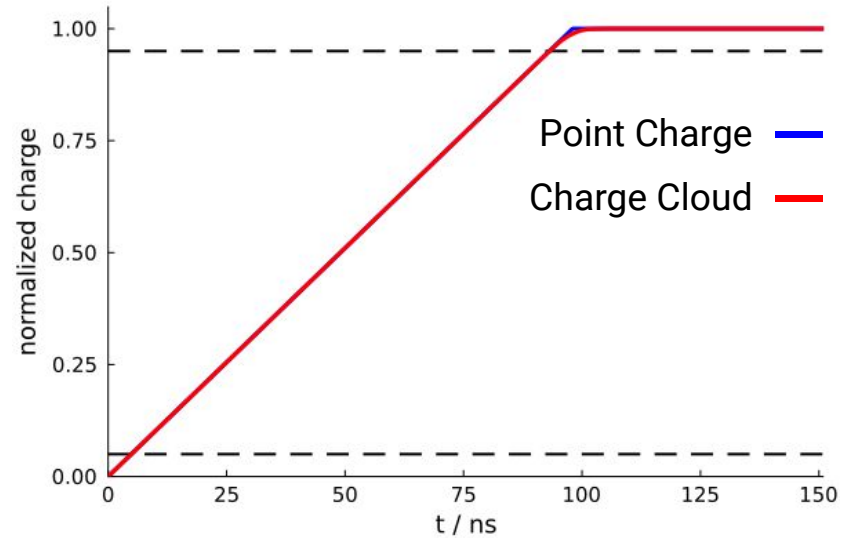


Charge Cloud Motion in Homogeneous Field

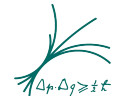
```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)
```



```
julia > plot(evt.waveforms[1])
```

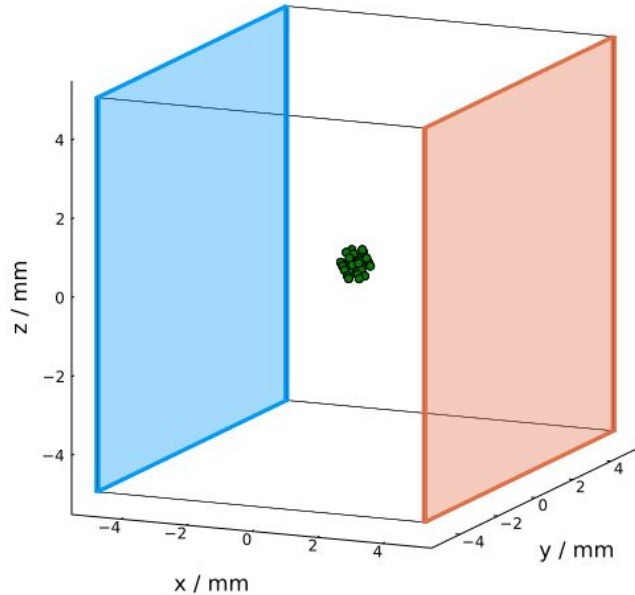


- electrons
- holes



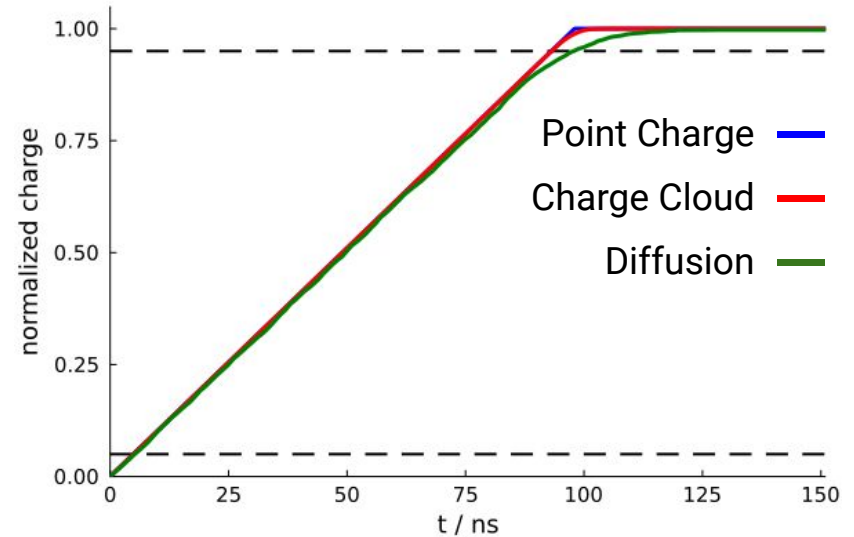
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim, diffusion = true)
```



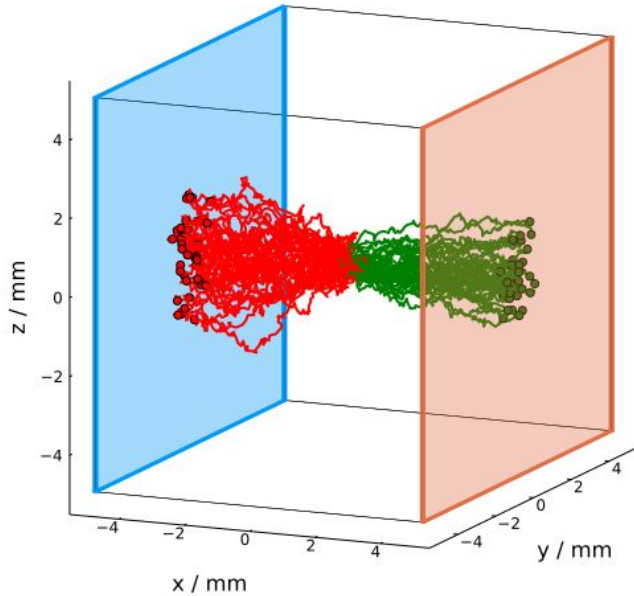
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



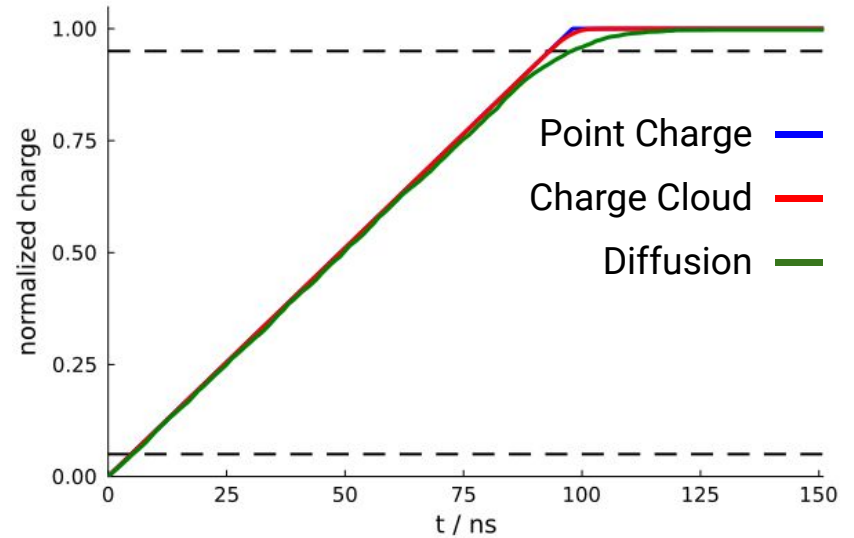
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim, diffusion = true)
```



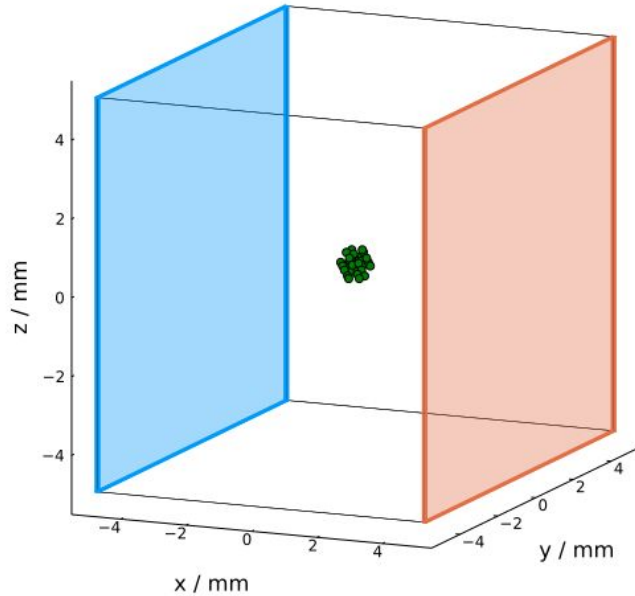
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



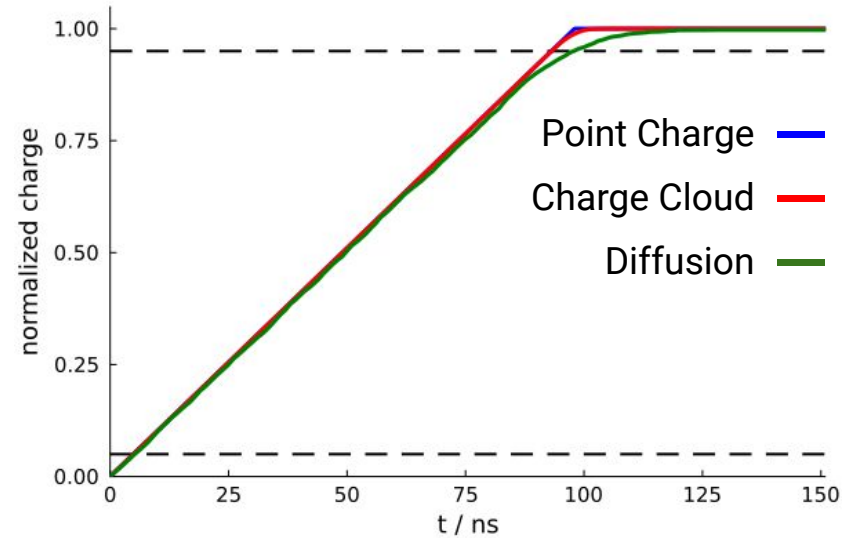
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)
```



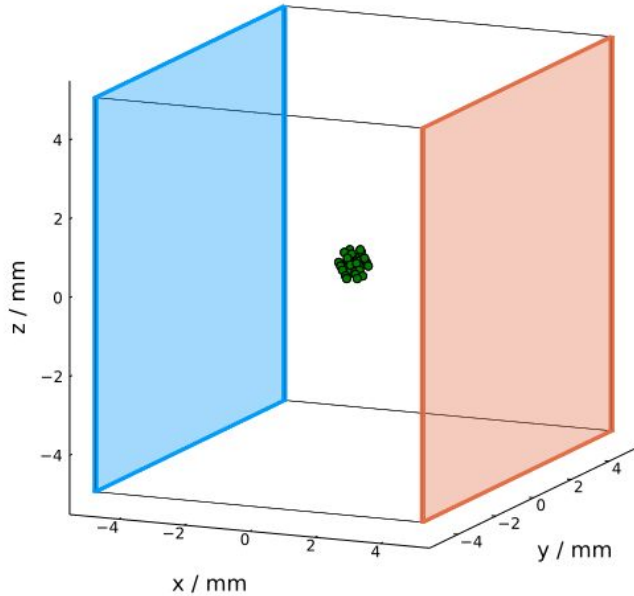
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



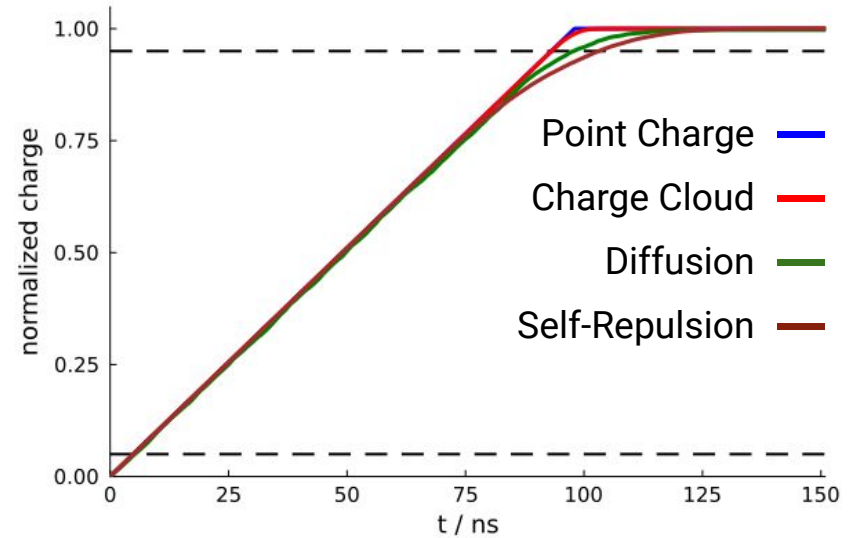
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim, self_repulsion = true)
```



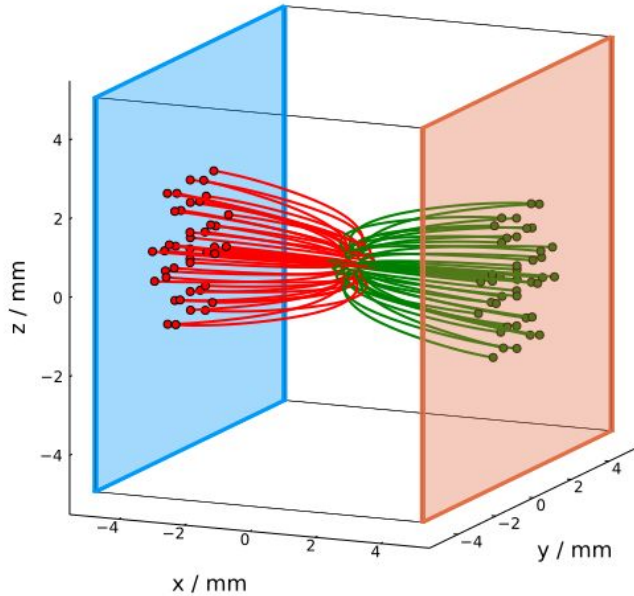
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



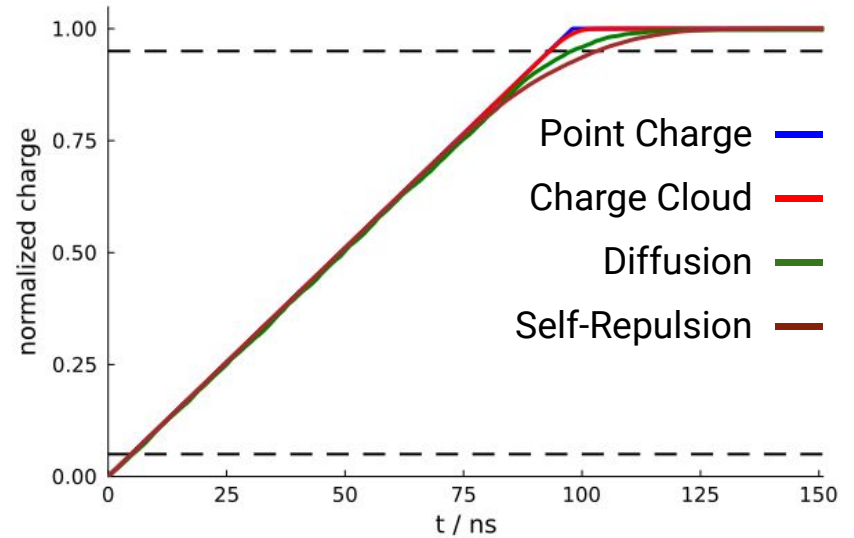
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim, self_repulsion = true)
```



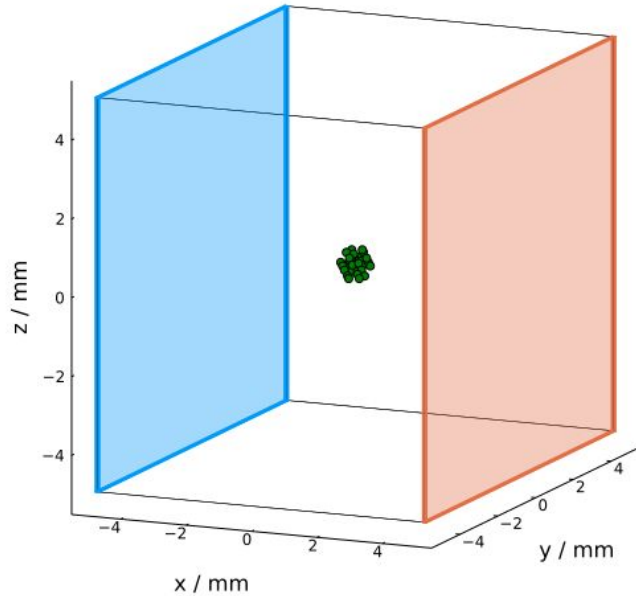
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```

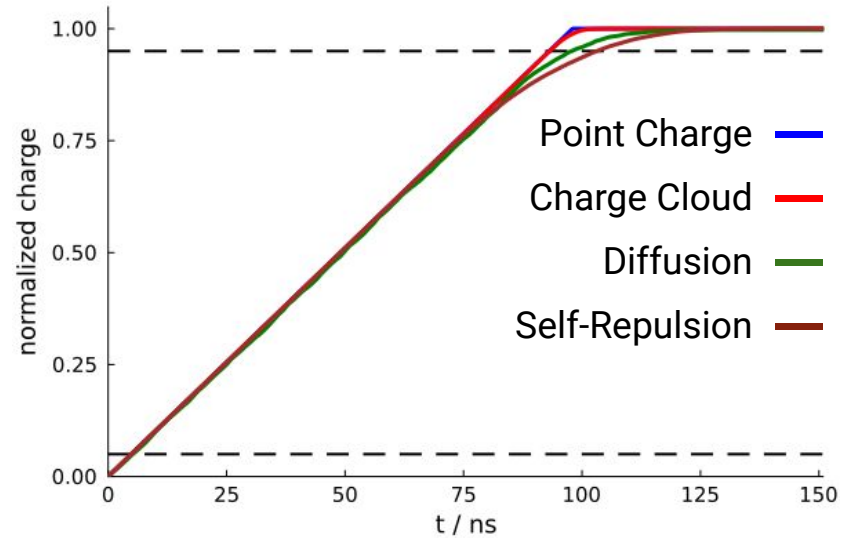


Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)
```



```
julia > plot(evt.waveforms[1])
```

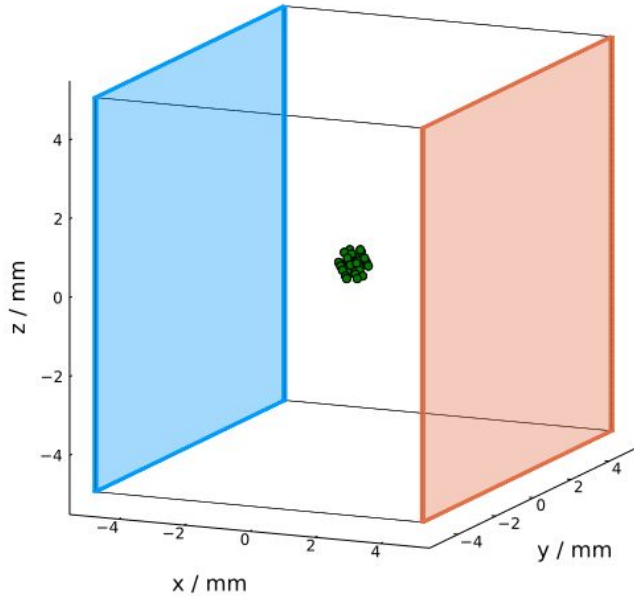


- electrons
- holes



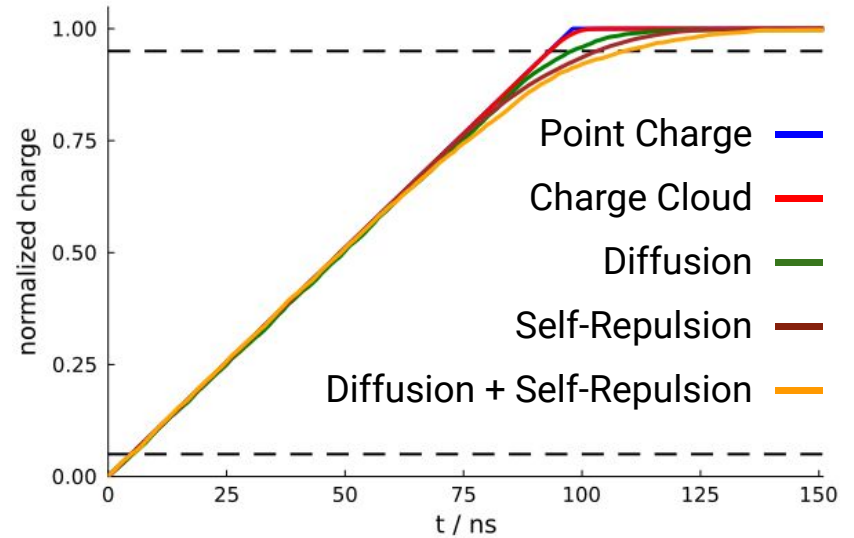
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



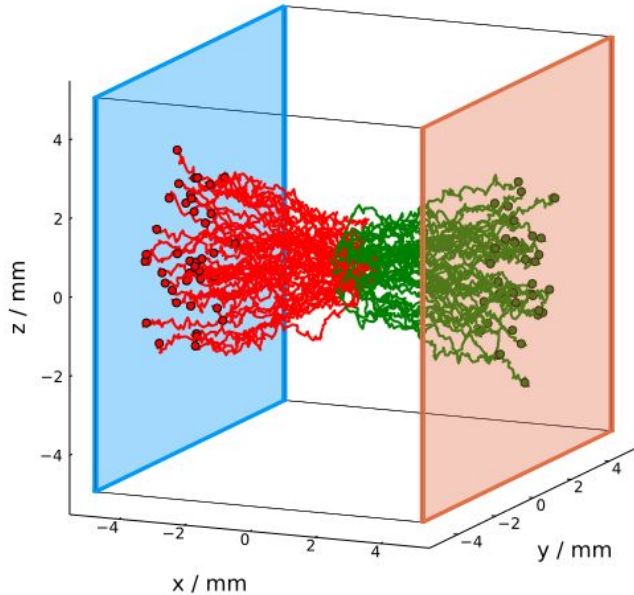
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```



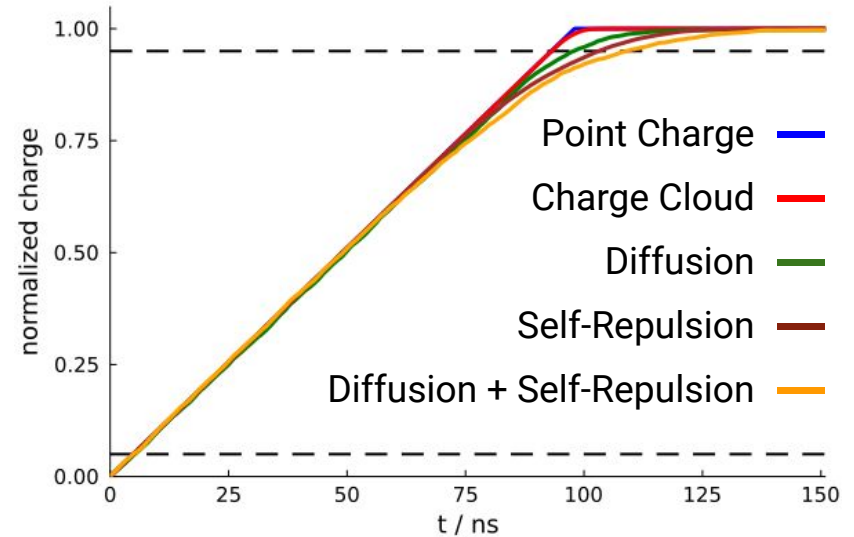
Charge Cloud Motion in Homogeneous Field

```
julia > evt = Event(CartesianPoint{T}(0,0,0), 2u"MeV", 40)  
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```

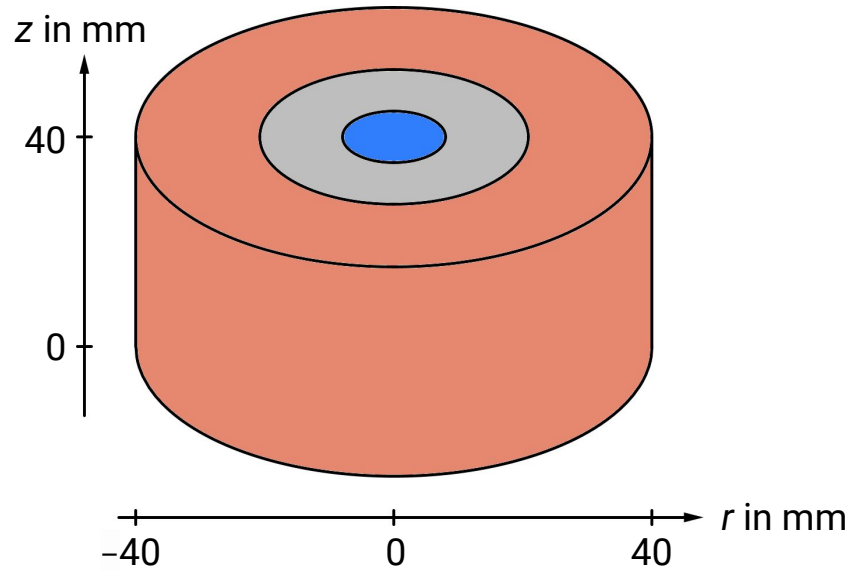


— electrons
— holes

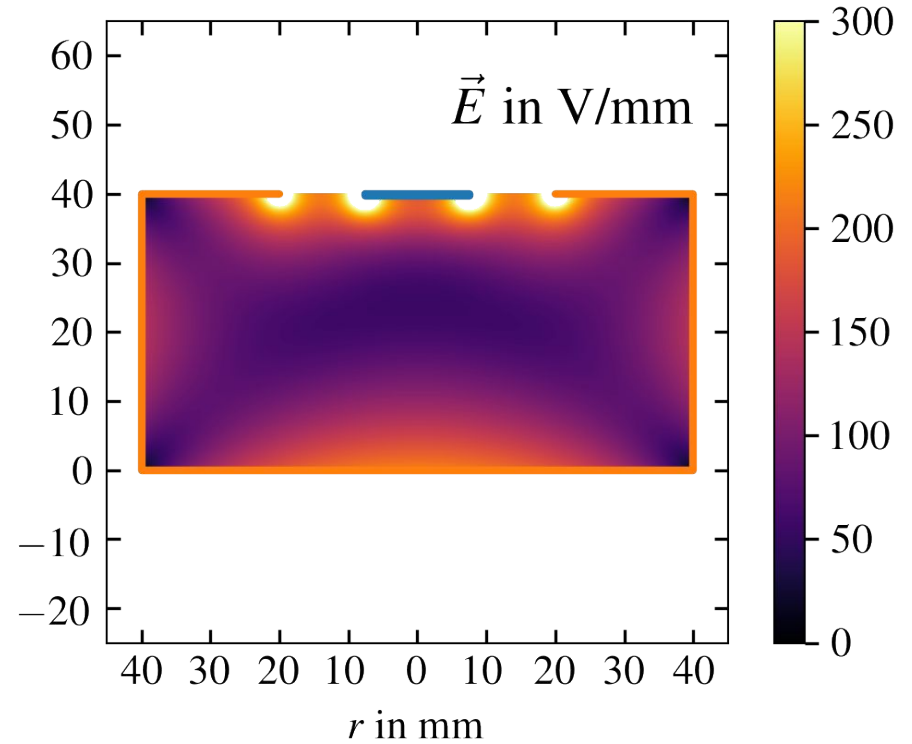
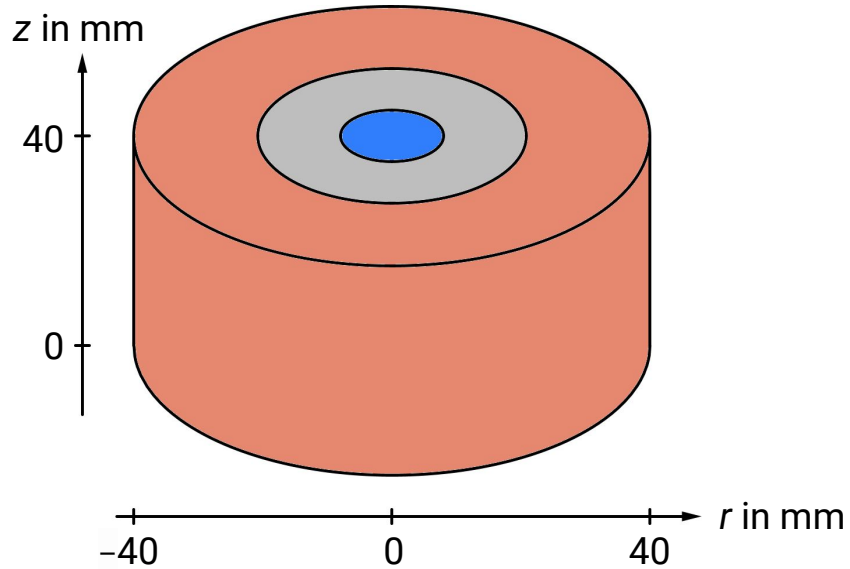
```
julia > plot(evt.waveforms[1])
```



Point Contact Detector

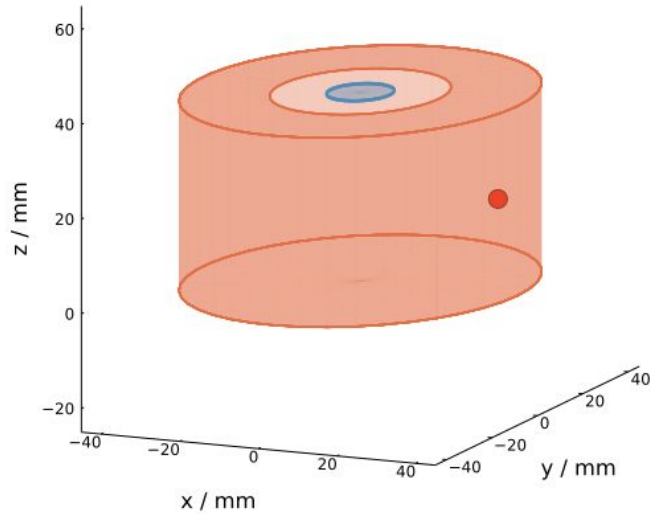


Point Contact Detector



Charge Carrier Drift in Point Contact Detector

```
julia > evt = Event(CartesianPoint{T}(0.035,0,0.02), 2u"MeV")
```

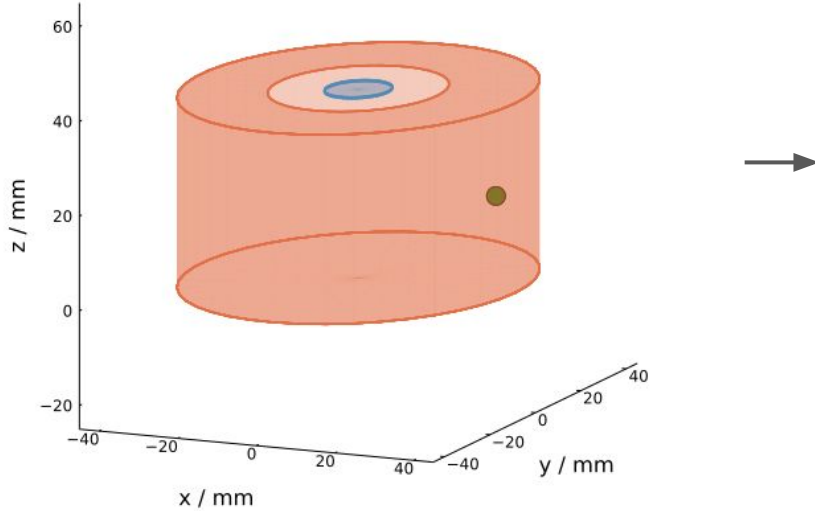


- electrons
- holes

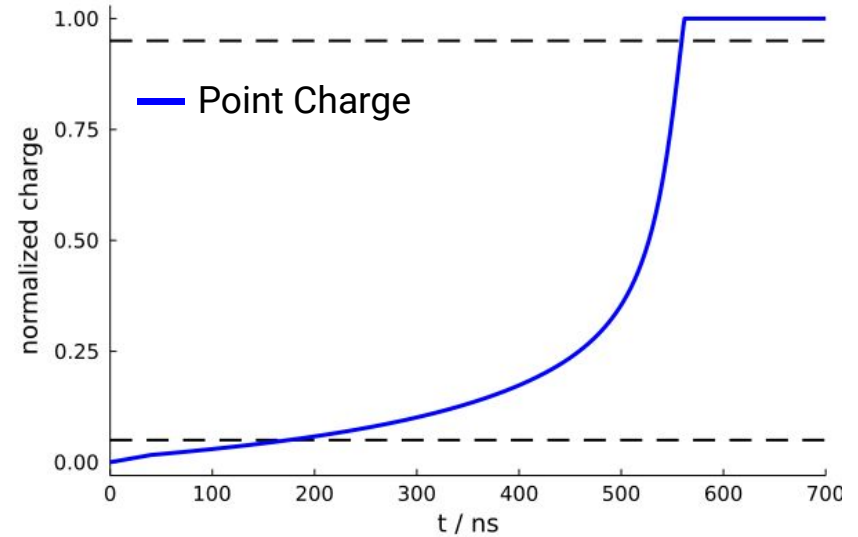


Charge Carrier Drift in Point Contact Detector

```
julia > evt = Event(CartesianPoint{T}(0.035,0,0.02), 2u"MeV")  
julia > simulate!(evt, sim)
```



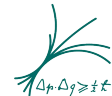
```
julia > plot(evt.waveforms[1])
```



— electrons
— holes



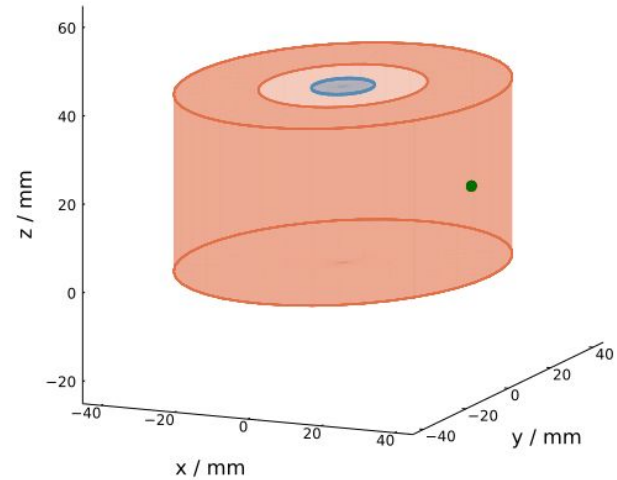
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Simulating Group Effects

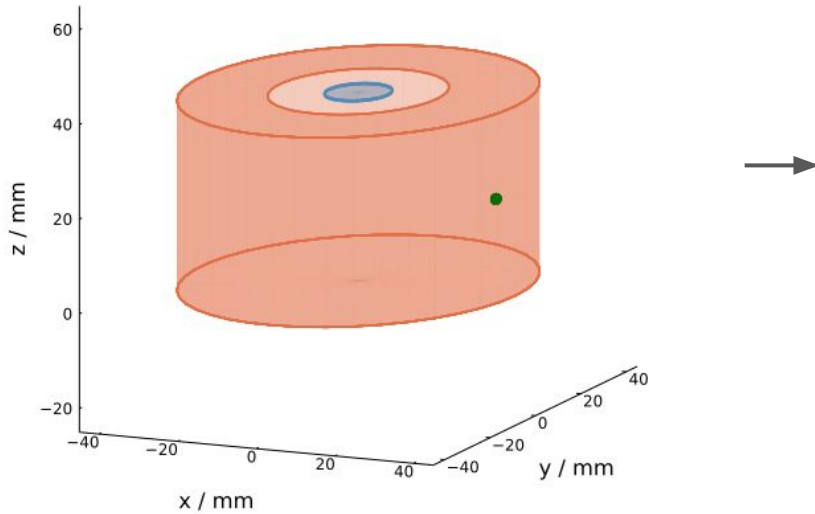
```
julia > using SolidStateDetectors, Unitful
julia > sim = Simulation{Float64}("BEGe.yaml")
julia > calculate_electric_potential!(sim)
julia > calculate_electric_field!(sim)
julia > for i in 1:2
    calculate_weighting_potential!(sim, i)
end
```

```
julia > locations = [CartesianPoint(0.035,0,0.02)]
julia > energies = ["1000u"keV"]
julia > evt = Event(NBodyChargeCloud(locations, energies, 100))
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



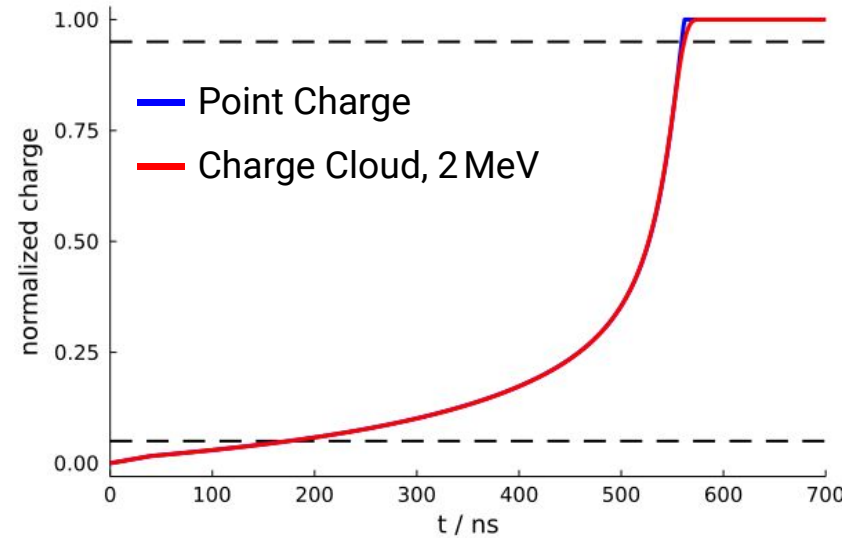
Charge Cloud Motion in Point Contact Detector

```
julia > evt = Event(CartesianPoint{T}(0.035,0,0.02), 2u"MeV", 40)  
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



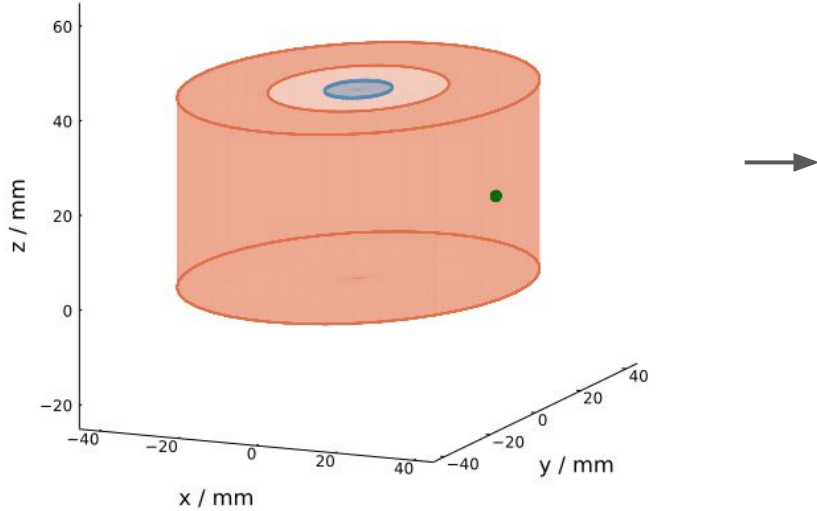
— electrons
— holes

```
julia > plot(evt.waveforms[1])
```

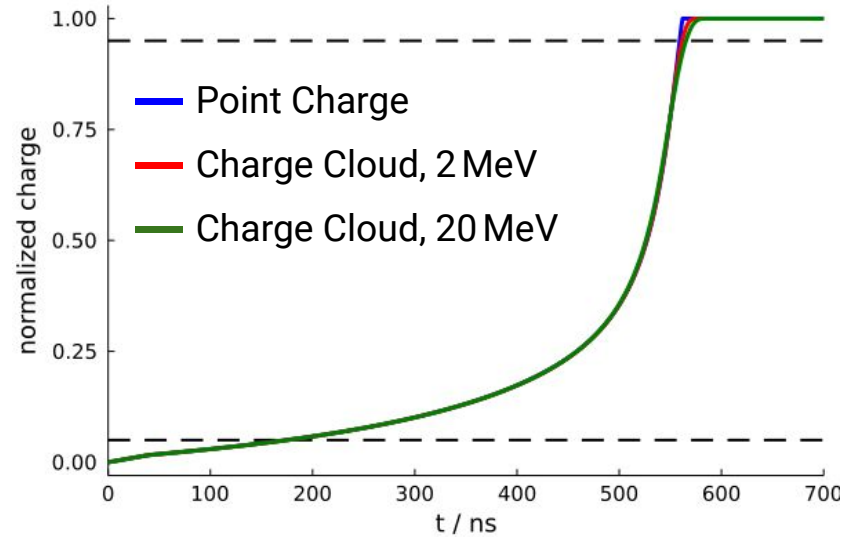


Charge Cloud Motion in Point Contact Detector

```
julia > evt = Event(CartesianPoint{T}(0.035,0,0.02), 20u"MeV", 40)  
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



```
julia > plot(evt.waveforms[1])
```

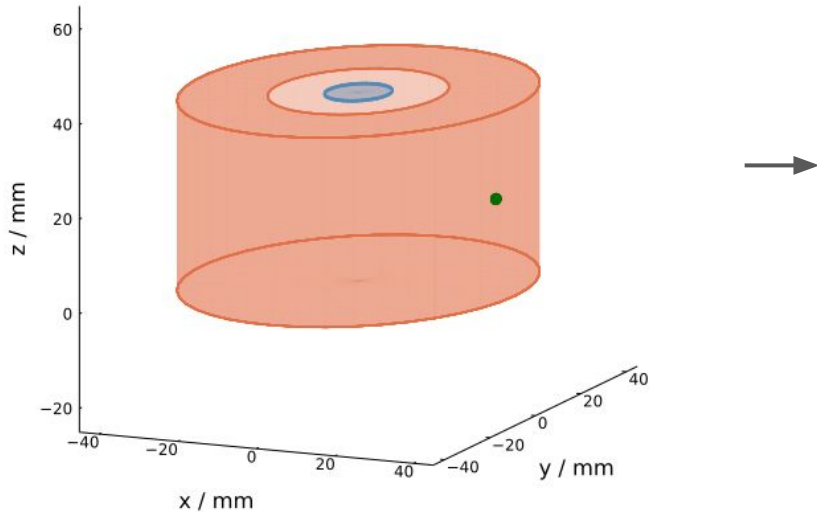


- electrons
- holes

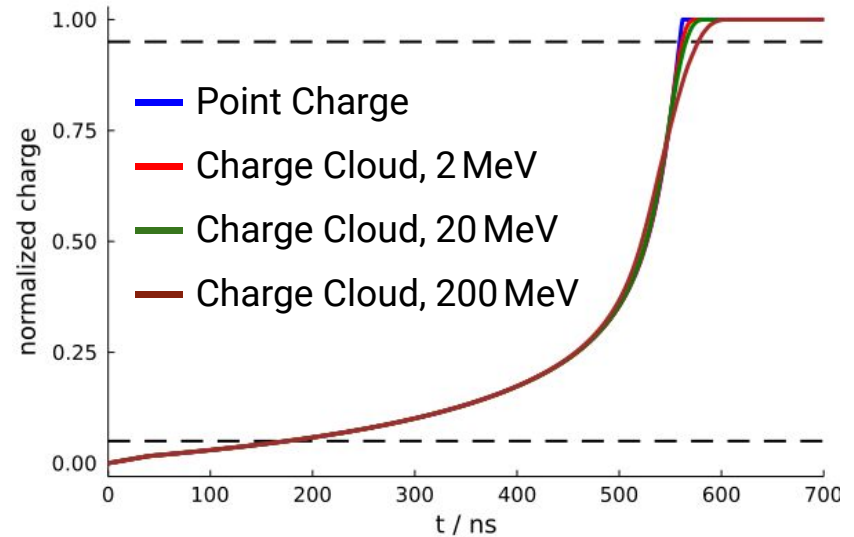


Charge Cloud Motion in Point Contact Detector

```
julia > evt = Event(CartesianPoint{T}(0.035,0,0.02), 200u"MeV", 40)
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



```
julia > plot(evt.waveforms[1])
```



— electrons
— holes

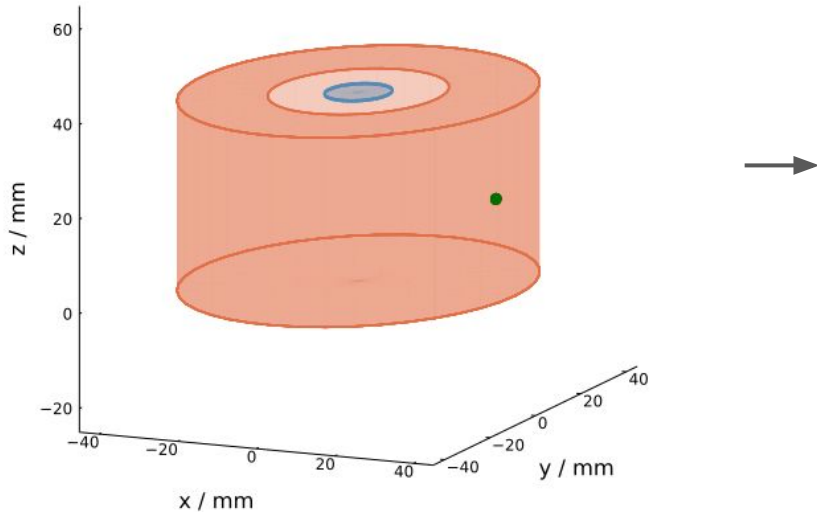


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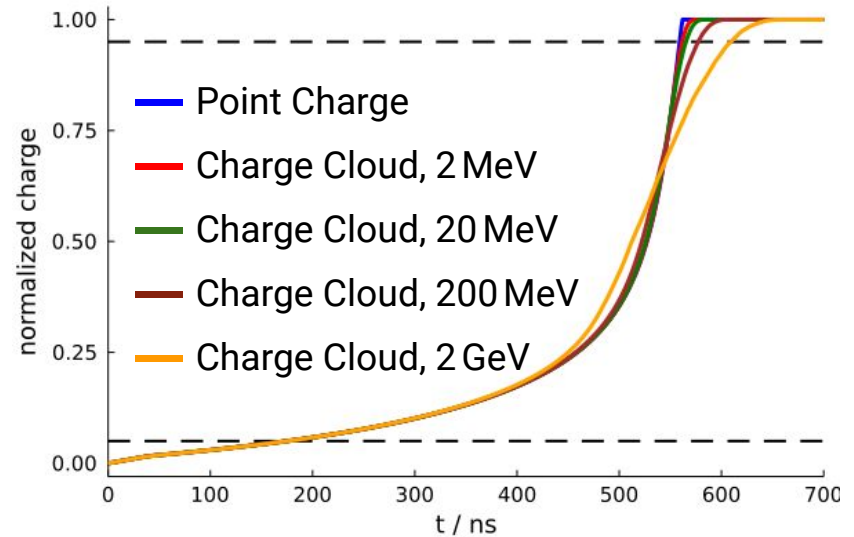


Charge Cloud Motion in Point Contact Detector

```
julia > evt = Event(CartesianPoint{T}(0.035,0,0.02), 2u"GeV", 40)  
julia > simulate!(evt, sim, diffusion = true, self_repulsion = true)
```



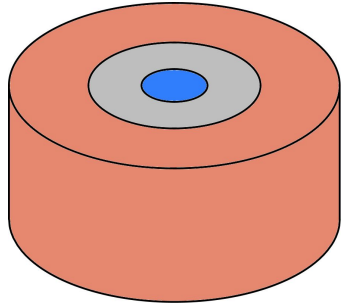
```
julia > plot(evt.waveforms[1])
```



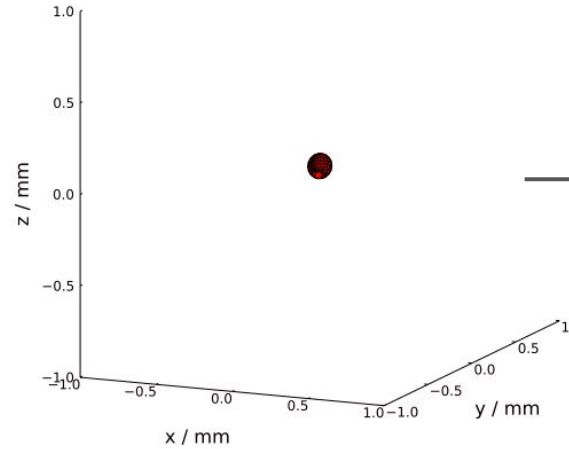
- electrons
- holes



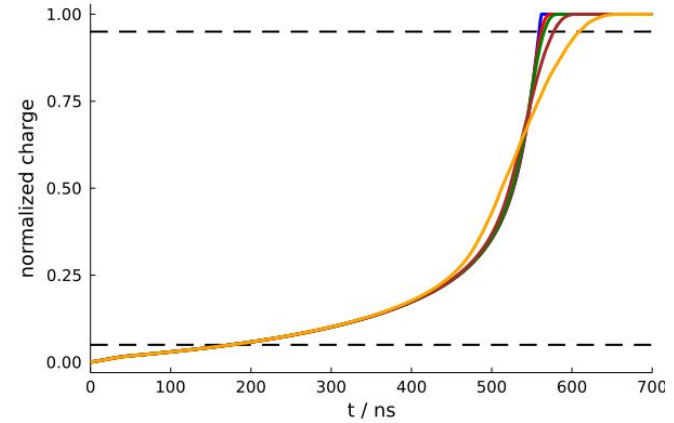
Summary



Pulse shape simulation
in SolidStateDetectors.jl



Models to describe
diffusion and self-repulsion



Influence on the resulting
simulated pulse shapes



Energy dependence

