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### Measurement of the W boson mass at CMS

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### **Overview**

### ATLAS W mass measuremnt, arXiv:2403.15085



- m<sub>W</sub> provides a stringent test of the internal consistency of the Standard Model (SM). The global Electroweak(EW) Fit allows for a precise prediction of m<sub>W</sub> given m<sub>H</sub>, m<sub>t</sub>, etc.
  - $m_W$  predicted by EW fit with  $\Delta m_W = 6$  MeV (10<sup>-4</sup>) uncertainty,  $\Delta mW$  on PDG average in 2022 = 13 MeV
  - Last CDF II measurement in strong tension with SM prediction and previous measurements

### W boson production and decay

- Production of W boson from quarks inside the colliding protons
- Hadronic decay channel not feasible due to huge QCD backgrounds/jet energy scale
- Focus on leptonic decay
  - Neutrino goes undetected in the detector, but can be inferred from the missing transverse momentum or  $p_T^{Miss}$



### **Measuring m<sub>w</sub> at hadron colliders**

Events per GeV<sup>-1</sup>

Data/fit

- Traditionally,  $m_{T}$  is the preferred variable for the m<sub>w</sub> measurement
  - More robust wrt theoretical calculations, but resolution  $\bigcirc$ limited at high pileup environments
- At LHC, due to higher pileup,  $p_T^{I}$  is more precise than  $m_{T}$ 
  - Sensitive to theoretical uncertainties (PDFs and W  $p_T$ ) Ο
  - Can be measured very precisely experimentally Ο

Pre-fit ratio

*p*<sup>ℓ</sup><sub>T</sub> [GeV]

/// Stat @ Sys

 $W^+ \rightarrow \tau^+ v_{\tau}$ 

Backgrounds

45





×10<sup>3</sup>

 $p_{T}^{miss}$ 

 $m_{T}^{2} = 2 p_{T}^{2} p_{T} (1 - c_{\infty} \phi_{p_{\gamma}})$ 

 $\gamma^{2}/dof = 50 / 48$ 

P<sub>...2</sub> = 37 %

P<sub>KS</sub> = 98 %

90

100

ATLAS

35

104 marine and a second and a second and a second and a second

40

Events / GeV

Data / Pred

400 ATLAS

300

200

100

30

 $\sqrt{s} = 7 \text{ TeV}, 4.6 \text{ fb}^{-1}$ 

e+-channel, post-fit

### The CMS analysis



### The CMS analysis

- Standard single-muon selection
- Simultaneous maximum likelihood fit to muon  $p_T \eta$  distribution for W<sup>+</sup> and W<sup>-</sup>
  - $\circ$  p<sub>T</sub><sup>W</sup>: use theoretical model with large systematic uncertainties which are constrained in-situ:
    - Z kept as independent cross-check
  - PDFs: Constrain PDF uncertainties exploiting  $\eta$  (demonstrated in W helicity measurement Phys. Rev. D 102 (2020) 092012)



- 2880 bins
- O(5K) systematic variations
- 4.5B fully simulated events, > 100M selected W candidates

No electron or  $m_T$  for now, more challenging systematics, need additional works.

# p<sub>T</sub><sup>w</sup> modelling

- Simulation of events using MiNNLO<sub>PS</sub> + Pythia8 + Photos (NNLO + LL in α<sub>s</sub>)
- Reweighting to match predictions from SCETLib + DYTurbo (N3LL + NNLO)
- Uncertainties
  - Non-perturbative: Intrinsic momentum of partons (TMP PDF), non-perturbative uncertainties in resummation
  - Resummation (perturbative): "Theory Nuisance Parameters" corresponding to coefficients in resummed calculations
  - Matching: Variation in matching scale
  - Fixed order: Missing higher orders in  $\alpha_s$  assessed through  $\mu_r$ ,  $\mu_f$  variations



### **PDFs**

- Several modern sets are considered.
- Check compatibility between PDF sets:
  - Bias test with prediction from one PDF set as nominal and prediction from the other as pseudo-data, repeated changing the nominal PDF set
  - Inflate PDF uncertainties for "failing" sets
- CT18Z chosen as nominal set:
  - Among the largest unscaled impacts from PDFs
  - But doesn't need inflation to cover other sets



3.2

2.4

3.0

5.0

NNPDF3.1

NNPDF4.0

5.3

6.0

## **Muons in CMS**

- Two-stage reconstruction
  - Tracker track matched with muon track
  - Additional identification criteria
- Efficiencies and scale factors are measured in  $Z \rightarrow \mu\mu$  events
  - With unprecedented level of granularity
  - Careful factorization of each reconstruction/identification step
  - Effect of hadronic recoil from W/Z boson is also taken into account for isolation and trigger efficiencies
- Uncertainties propagated through O(3000) nuisance parameters
  - $\circ$  ~ Impact on  $m_W \rightarrow {\rm \sim}3~MeV$





### **Hadronic Recoil**

- Transverse mass is not directly used as a fit variable in the present analysis, but it's used as a part of the event selection and non-prompt background estimation
- Hadronic recoil is constructed with "DeepMET" algorithm: DNN-based recoil reconstruction operating with inputs at the individual particle flow candidate level.
- Recoil response is calibrated using  $Z \rightarrow \mu \mu$  events.



### **Muon Momentum Calibration**

- Target is  $\frac{\delta p_T^{\mu}}{p_T^{\mu}} \sim 10^{-4}$  for ~40 GeV muons (~ 8 MeV on m<sub>W</sub>)
- With default muon reconstruction and calibration of CMS this can not be achieved
- Calibration performed in sequential steps
  - Tuning of parameters in CMS simulation
  - Track re-fit with improved B-field/material treatment based on Geant4e (Continuous Variable Helix or CVH refit)
  - Global correction of alignment/B-field/material at the per-module level using J/ $\psi$  events
  - Residual scale bias measured on J/ $\psi$  events in a fine-grained 4D space ( $p_T^+$ ,  $\eta^+$ ,  $p_T^-$ ,  $\eta^-$ ) by fitting a parametric model  $(\delta p_T)$   $\epsilon_n$



### Muon Momentum Calibration: Validation with Y and Z

- Parametric corrections from  $J/\psi$  applied to  $\Upsilon, Z \rightarrow \mu\mu$  events
  - Repeat last step to derive the residual scales for B-field and alignment
- Check the compatibility by a  $\chi^2$  test
  - Inflation of J/ $\psi$  stat. uncertainty by a factor 2.1
  - Stat. uncertainty from Z added to uncertainty model, together with PDG uncertainty



## $Z \rightarrow \mu\mu$ mass fit

- Validation of the scale calibration by fitting the (m<sup> $\mu\mu$ </sup>,  $\eta^{\mu}_{fwd}$ ) distribution
- $m_z^{CMS} m_z^{PDG} = -2.2 \pm 1.0 \text{ (stat)} \pm 4.7 \text{ (syst) MeV}$ = -2.2 ± 4.8 MeV
- Though only  $J/\psi$  events are used as input for the muon momentum calibration
  - Z events are used to check the consistency of the derived result
  - J/ $\psi$  vs Z closure also used in the uncertainty model
- Hence, can not be considered as an independent Z mass measurement



### Validation : W - like

• Select  $Z \rightarrow \mu\mu$  events and treat one muon at the time as a neutrino



### W – like results

- Total uncertainty on m<sub>z</sub> is 14 MeV
  - Muon scale (5.6), angular coeff (4.9).
    Muon reco (3.8)
  - m<sub>z</sub> kept blind until all checks completed





### Moving to the W mass measurement



### **Non-prompt background**

- Mostly muons from B/C hadrons decay (~85%)
- Data-driven estimation using an extended ABCD method based on iso : m<sub>T</sub>
  - Validated with QCD simulation and data from control region with muons from secondary vertices (SV sideband region)





In each  $(\eta, p_T bin:)$ 

Impact on  $m_W \rightarrow \textbf{\sim}~3 MeV$ 

## **Unblinding the W fit**

- M<sub>W</sub> = 80360.2 ± 9.9 MeV
- In agreement with the SM



Source of uncertainty	Impact (MeV)	
	Nominal	Global
Muon momentum scale	4.8	4.4
Muon reco. efficiency	3.0	2.3
W and Z angular coeffs.	3.3	3.0
Higher-order EW	2.0	1.9
$p_{\rm T}^{\rm V}$ modeling	2.0	0.8
PDF	4.4	2.8
Nonprompt background	3.2	1.7
Integrated luminosity	0.1	0.1
MC sample size	1.5	3.8
Data sample size	2.4	6.0
Total uncertainty	9.9	9.9

### **Helicity cross-section fit**

- Implementation of less model dependent measurement
  - Additional test of the QCD model, BSM physics in W production or decay, etc.
- Basic strategy: Measure the terms of the 9 helicity cross sections  $\sigma_i \equiv \sigma_{UL} \times Ai$  double differentially in W rapidity and  $p_T$ (relying less on theoretical predictions and uncertainties from PDFs and QCD) together with  $m_W$

$$\frac{\mathrm{d}\sigma}{\mathrm{d}p_{\mathrm{T}}^{2}\,\mathrm{d}y\,\mathrm{d}m\,\mathrm{d}\cos\theta\,\mathrm{d}\phi} = \frac{3}{16\pi}\frac{\mathrm{d}\sigma}{\mathrm{d}p_{\mathrm{T}}^{2}\,\mathrm{d}y\,\mathrm{d}m} \times \left[(1+\cos^{2}\theta)+A_{0}\frac{1}{2}(1-3\cos^{2}\theta)\right]$$
$$+ A_{1}\sin2\theta\cos\phi + A_{2}\frac{1}{2}\sin^{2}\theta\cos2\phi + A_{3}\sin\theta\cos\phi + A_{4}\cos\theta$$
$$+ A_{5}\sin^{2}\theta\sin2\phi + A_{6}\sin2\theta\sin\phi + A_{7}\sin\theta\sin\phi\right].$$

Trade systematic uncertainties for larger statistical uncertainties

## **Helicity cross-section fit**

- Current data/observables are not sufficient to constrain all the relevant helicity components
- Cross sections are regularized via constraints to the nominal prediction
  - Uncertainties are increased with respect to the nominal prediction
- Results for different constraints to the nominal predictions are shown.
- Agreement with the main result.



## Conclusions

- First measurement of m<sub>W</sub> by CMS
- Most precise measurement at the LHC
  - Approaching the precision of CDF
- Good agreement with the SM prediction and other measurements, except CDF
- Measurement is performed with ~10% of Run 2 data
  - Large room for improvement







# p<sub>T</sub><sup>w</sup> modelling

- Conventional wisdom: estimate p<sub>T</sub><sup>W</sup> using measured p<sub>T</sub><sup>Z</sup> sprectrum and rely on theoretical ration of W/Z cross sections. Uncertainties expressed in terms of QCD scales decorrelated in bins of p<sub>T</sub><sup>W</sup> and angular coefficients
  - QCD scales don't capture non-perturbative effects
  - Not physical parameters -> no statistical meaning if constrained
  - Large dependence of the uncertainty on the degree of correlation that is assumed between W and Z



### **Model validation**

- Comparison of p<sub>T</sub><sup>II</sup> unfolded at generator level with predictions from theoretical modelling
  - For both direct fit to  $p_T^{\mu\mu}$  and W-like fit to single muon ( $\eta$  ,  $p_T$ , q)
- Agreement between unfolded data and postfit distributions from TNPs
- Direct fit to  $p_T^{\mu\mu}$  has stronger constraints but W-like fit is able to correctly dientagle  $m_Z$  from from the Z  $p_T$  spectrum
- m<sub>w</sub> can be measured without tuning the p<sub>T</sub> spectrum to the Z

