

Probing hidden sectors at e^+e^- colliders via two-particle angular correlations

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[arXiv:2312.06526](https://arxiv.org/abs/2312.06526) [hep-ph]



24th HELLENIC SCHOOL AND WORKSHOPS ON
ELEMENTARY PARTICLE PHYSICS AND GRAVITY
Workshop on the Standard Model and Beyond
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Angular correlations

- Powerful method to study the underlying mechanisms of particle production
- Uncover possible collective effects resulting from high particle densities
- Two-particle correlation function C_2

$$C_2(\Delta y, \Delta \phi) = \frac{S(\Delta y, \Delta \phi)}{B(\Delta y, \Delta \phi)}$$

Density of particle pairs produced within the **same** event:

$$S(\Delta y, \Delta \phi) = \frac{1}{N_{pairs}} \frac{d^2 N^{same}}{d\Delta y d\Delta \phi}$$

$$N_{pairs} = \iint \frac{d^2 N^{same}}{d\Delta y d\Delta \phi} d\Delta y d\Delta \phi$$

Density of particle pairs produced in the **different** events:

$$B(\Delta y, \Delta \phi) = \frac{1}{N_{mix}} \frac{d^2 N^{mix}}{d\Delta y d\Delta \phi}$$

$$N_{mix} = \iint \frac{d^2 N^{mix}}{d\Delta y d\Delta \phi} d\Delta y d\Delta \phi$$

“B” does not stand for “background = SM processes”. Expresses completely *uncorrelated* pairs (different events)



y: rapidity
 ϕ : azimuthal angle

Two-particle angular correlations in collisions

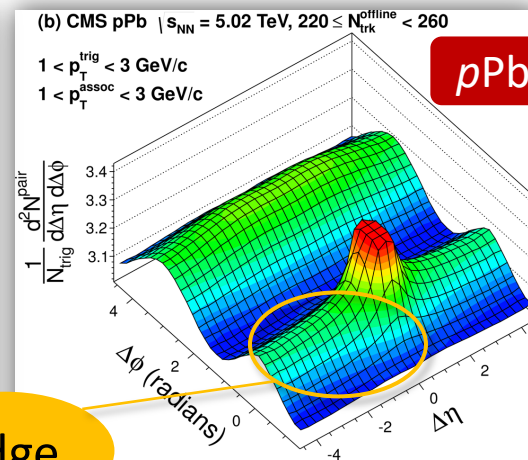
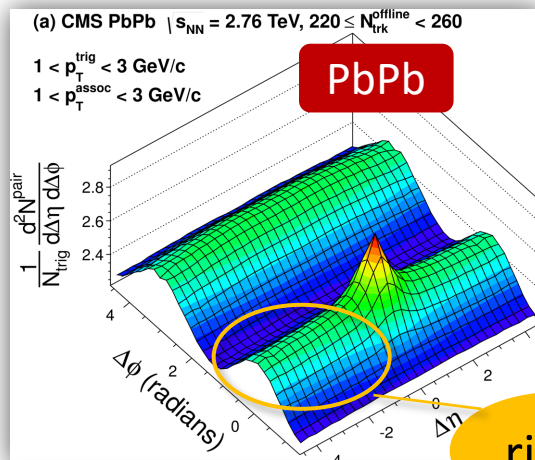
- Interesting features depending on **colliding particles** and track multiplicities
- Heavy-ion collisions: ridge structure associated with fluctuating ion initial state

Sanchis-Lozano, [Int.J.Mod.Phys.A 24, 4529 \(2009\)](#)

Sanchis-Lozano & Sarkisyan-Grinbaum, [Phys.Lett.B 781, 505 \(2018\)](#)

Pérez-Ramos, Sanchis-Lozano, Sarkisyan-Grinbaum, [Phys.Rev.D 105, 053001 \(2022\)](#)

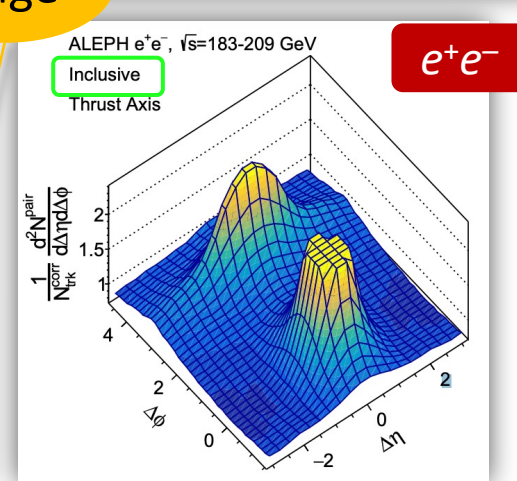
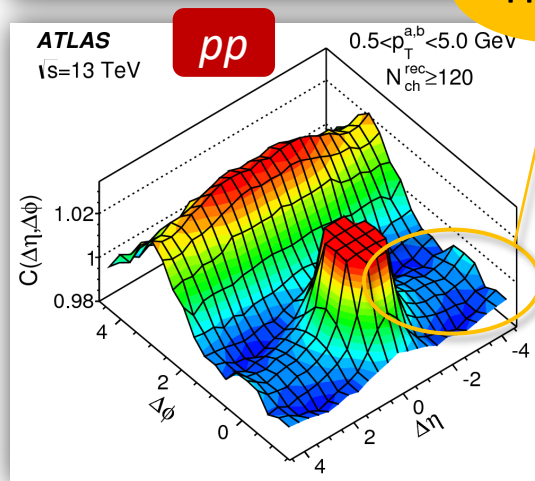
[Phys.Lett.B 724 \(2013\) 213](#)



[Phys.Lett.B 724 \(2013\) 213](#)

ridge

[Phys. Rev. Lett. 116 \(2016\) 172301](#)



Chen et al, [Phys. Lett. B 856 \(2024\) 138957](#)

Two-particle angular correlations in collisions

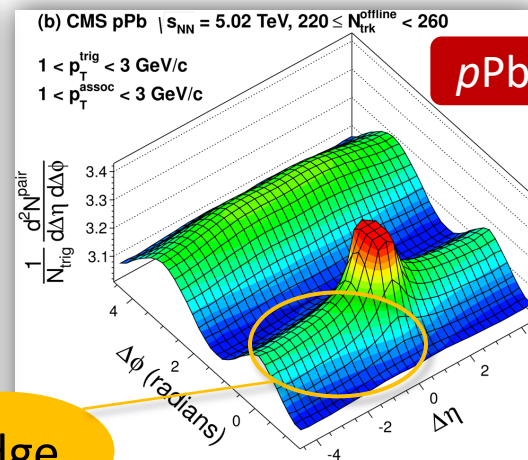
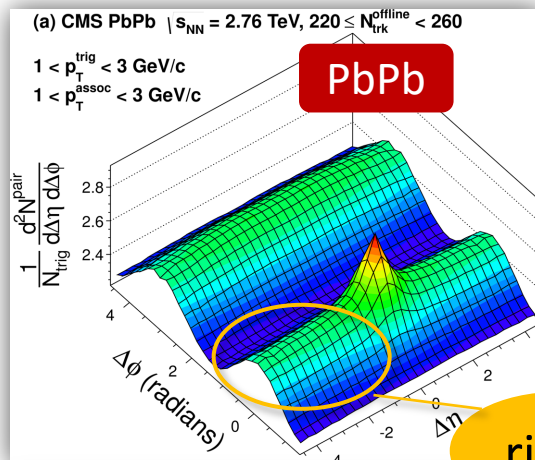
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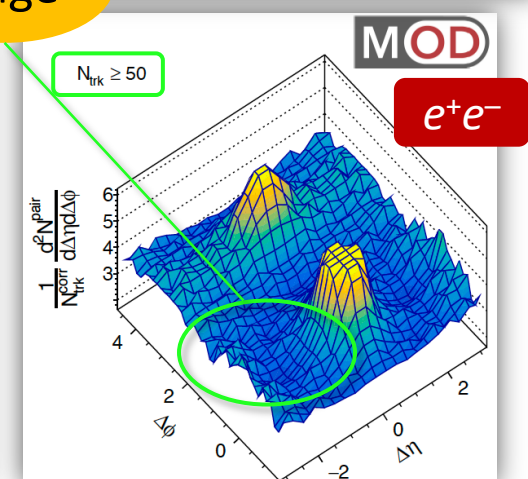
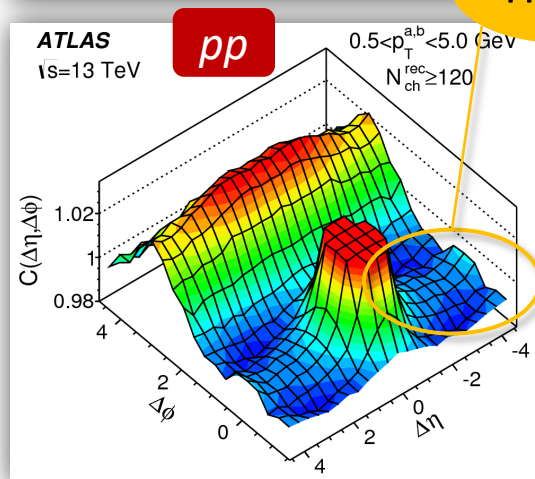
[Phys.Lett.B 724 \(2013\) 213](#)



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ridge

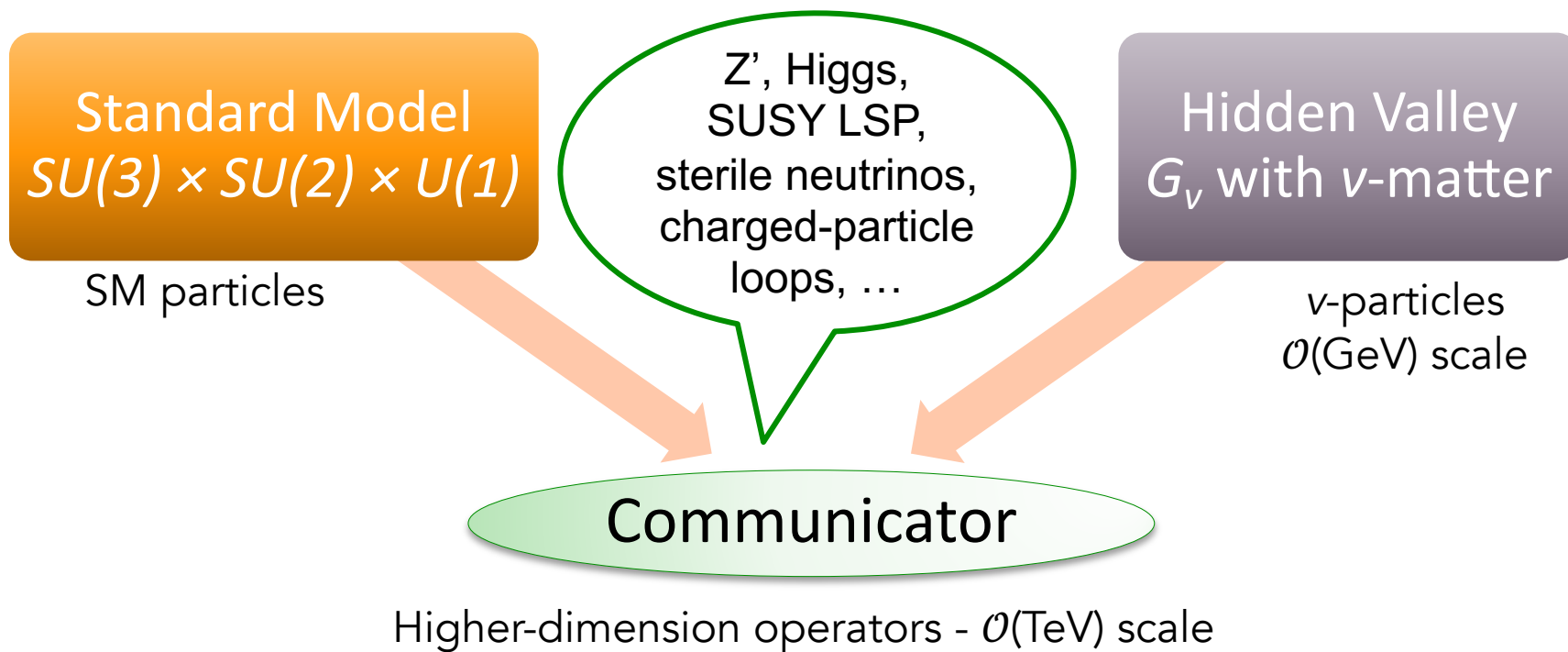
[Phys. Rev. Lett. 116 \(2016\) 172301](#)



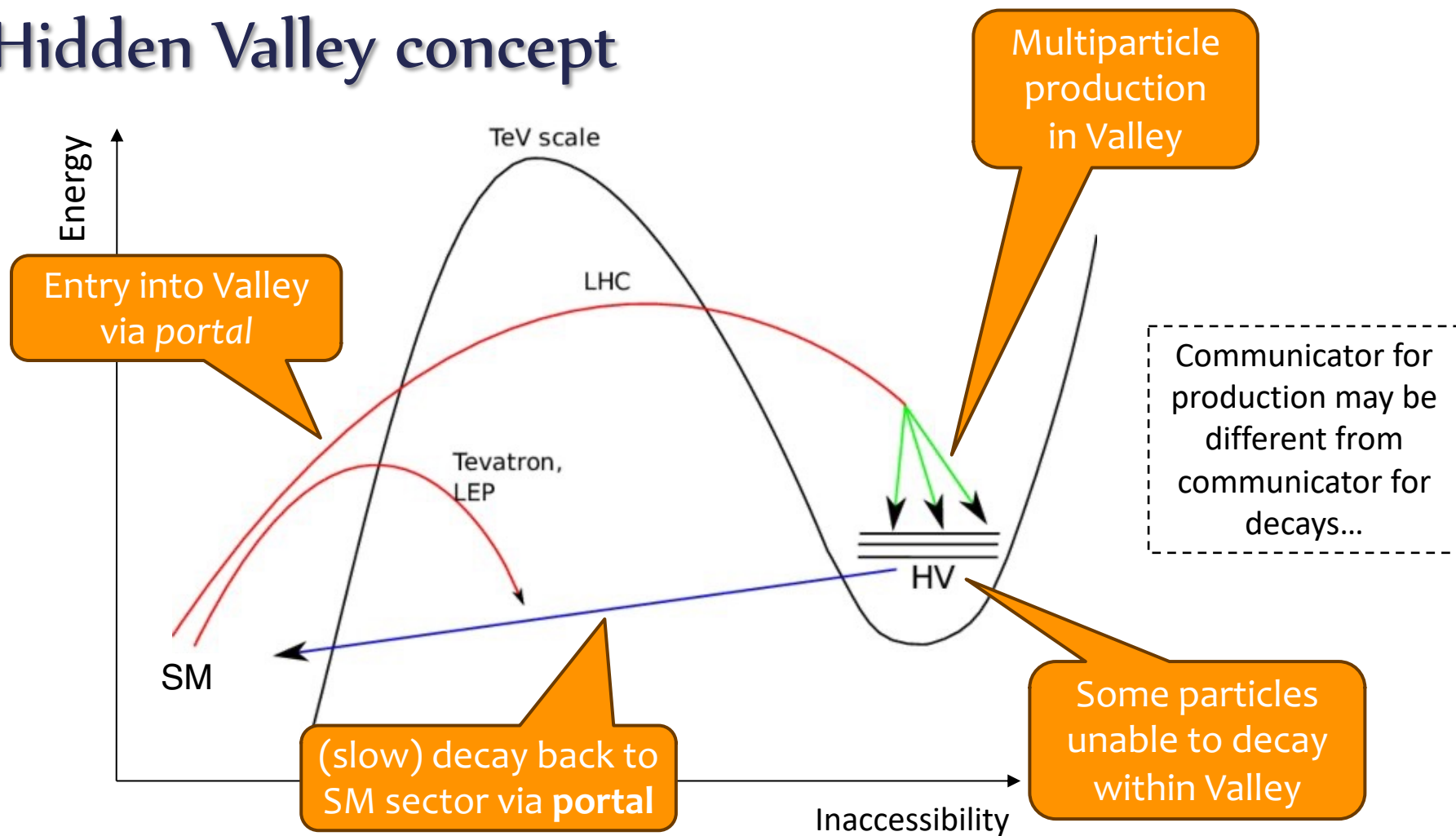
Chen et al, [Phys. Lett. B 856 \(2024\) 138957](#)

Hidden Valley (HV)

“Meta-model”: large class of theoretical scenarios



Hidden Valley concept



Why HV? How to probe them?

- Why Hidden Valley scenarios?
 - extra sectors common in string theory, SUSY breaking, extra dimensions, etc.
 - incredibly exciting if found: new particles, forces, dynamics
 - can drastically change phenomenology of SUSY/extra dims/etc.
 - implications for dark matter, early universe cosmology, astrophysics, ...
- Experimental probes
 - relatively weak experimental constraints!
 - vast array of possibilities
 - phenomenology challenging for hadron colliders

Signal and background processes

- Signal

- $e^+e^- \rightarrow \gamma^*/Z \rightarrow \bar{D}_\nu D_\nu \rightarrow \text{hadrons}$

$$m(D_\nu) = 125 \text{ GeV}$$

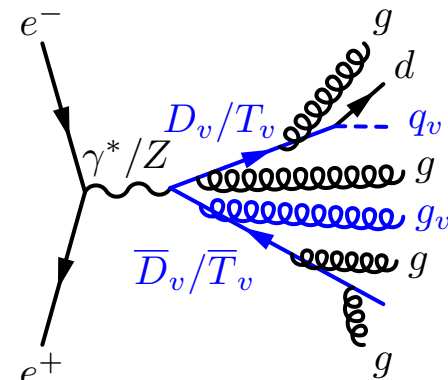
$$\alpha_\nu = 0.1$$

no long-lived particles

- Background

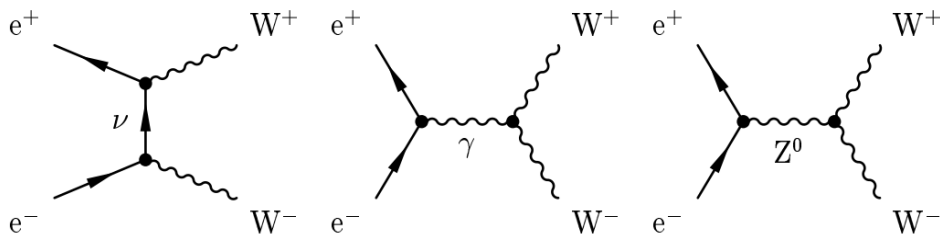
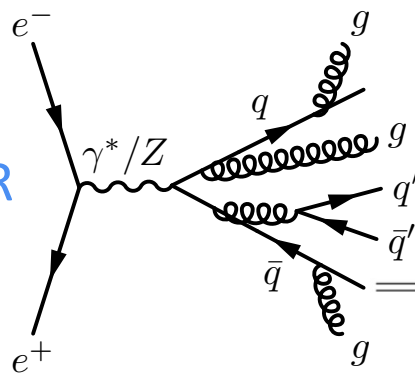
- $q\bar{q}$ production with ISR

- $W^+W^- \rightarrow q\bar{q}q\bar{q}$



$\sqrt{s} = 250 \text{ GeV}$

No polarised beam



| Process | σ_{PYTHIA8} [pb] | Efficiency [%] | $\langle N_{\text{ch}} \rangle$ |
|----------------------------------------|-----------------------------------|-------------------|---------------------------------|
| $e^+e^- \rightarrow D_\nu \bar{D}_\nu$ | | | |
| $m_{q_\nu} = 0.1 \text{ GeV}$ | 0.13 | 36 | 12.4 ± 3.7 |
| $m_{q_\nu} = 10 \text{ GeV}$ | 0.12 | 36 | 12.4 ± 3.7 |
| $m_{q_\nu} = 50 \text{ GeV}$ | 0.12 | 42 | 11.4 ± 3.5 |
| $m_{q_\nu} = 100 \text{ GeV}$ | 0.12 | 42 | 6.5 ± 2.1 |
| $e^+e^- \rightarrow q\bar{q}$ with ISR | 48 | $\lesssim 0.01$ | 9.9 ± 3.4 |
| $WW \rightarrow 4q$ | 7.4 | $\lesssim 0.001$ | - |

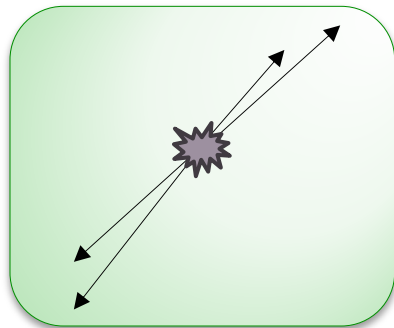
Correlation-related variables

- Angular correlations \rightarrow event shape
- y, φ coordinates defined w.r.t. **thrust axis**

$$T = \max_{\vec{n}} \frac{\sum_i |\vec{p}_i \cdot \hat{n}|}{\sum_i |\vec{p}_i|}$$

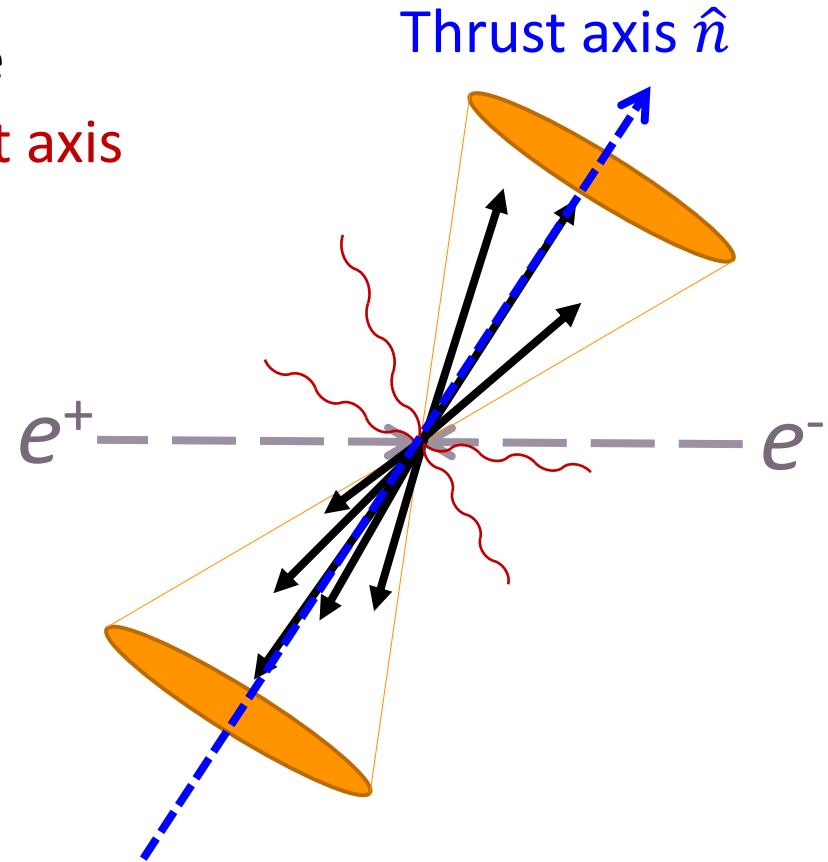
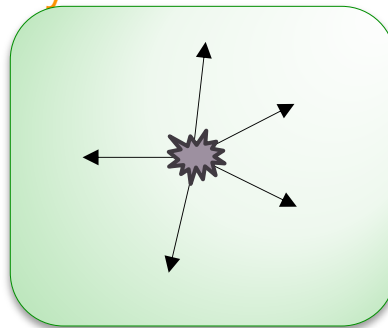
$T = 1$

"pencil"-like event



$T = 0.5$

spherically symmetric event



Analysis with detector effects

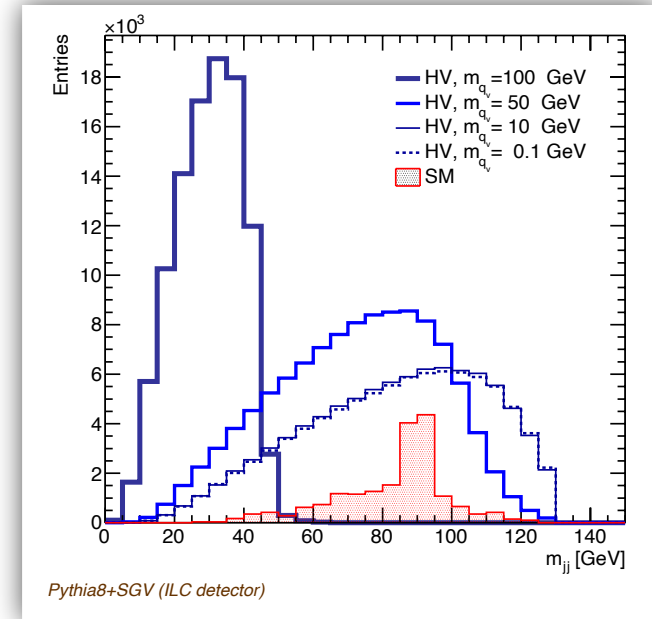
Event selection

- no secondary vertices
- neutral PFOs* ≤ 22 and charged PFOs ≤ 15
- reconstructed ISR photons
 - $|\cos\vartheta_{\text{VISR}}| < 0.5$
 - $E_{\text{VISR}} < 40$ GeV
- Di-jet invariant mass: $m_{jj} < 130$ GeV
- Leading jet invariant mass: $E_{\text{jet}} < 80$ GeV

$$\sqrt{s} = 250 \text{ GeV}$$

$$\mathcal{L} = 2 \text{ ab}^{-1}$$

| Process | σ_{PYTHIA8} [pb] | Efficiency [%] | $\langle N_{\text{ch}} \rangle$ |
|----------------------------------------|-----------------------------------|-------------------|---------------------------------|
| $e^+e^- \rightarrow D_v \bar{D}_v$ | | | |
| $m_{q_v} = 0.1 \text{ GeV}$ | 0.13 | 36 | 12.4 ± 3.7 |
| $m_{q_v} = 10 \text{ GeV}$ | 0.12 | 36 | 12.4 ± 3.7 |
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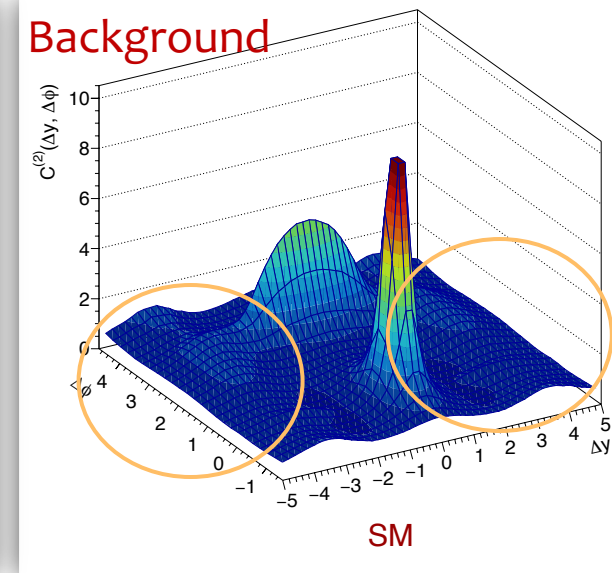
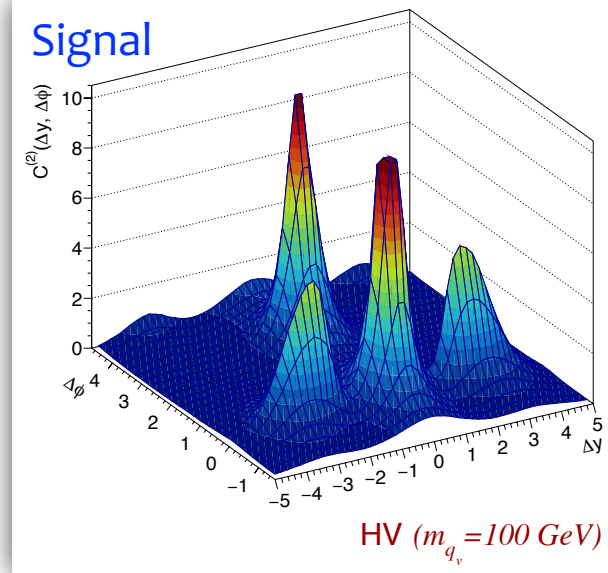
Simulation tools

- Monte Carlo event generator: [Pythia8](#)
- Fast detector simulation
 - [SGV 3.0 with ILC geometry](#)
- Analysis: [ILCSOFT](#)

*PFOs: Particle Flow Objects. Detector level particle candidates in ILC

Angular correlations

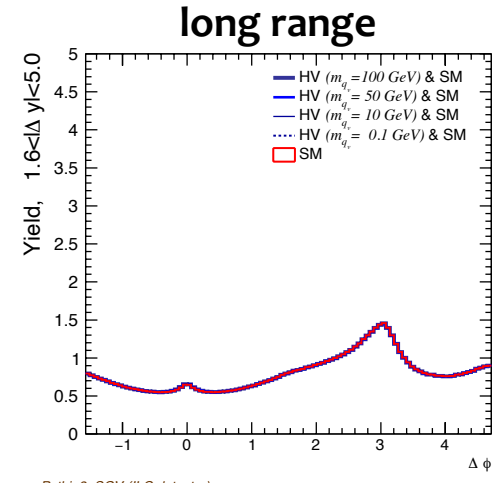
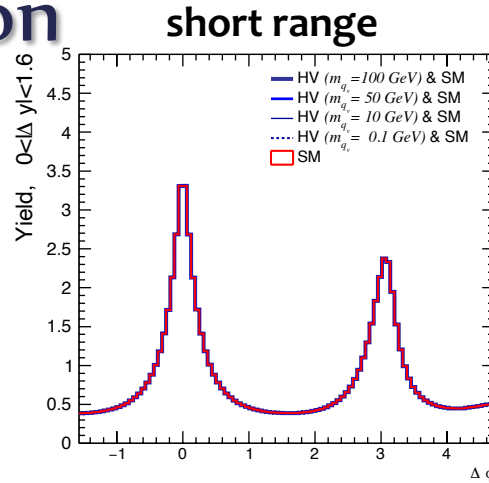
- Decay $D_\nu \rightarrow d q_\nu$ initiates a partonic (visible + invisible) shower
- Near-side peak at $(\Delta y \simeq 0, \Delta \phi \simeq 0)$ mainly from track pairs within same jet
- Near-side **ridge with two pronounced bumps** at $1.6 < |\Delta y| < 3, \Delta \phi \simeq 0$, in HV scenario
 - absent in background
- Away-side correlation ridge around $\Delta \phi \simeq \pi$ \rightarrow back-to-back momentum balance



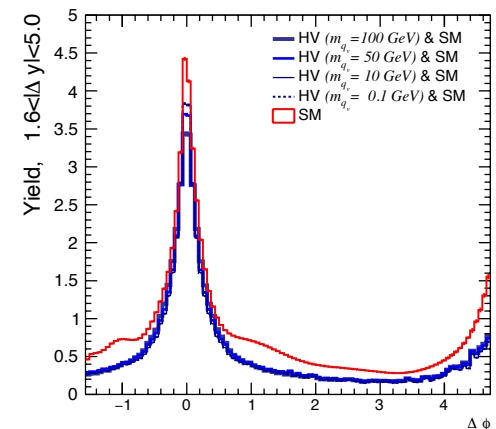
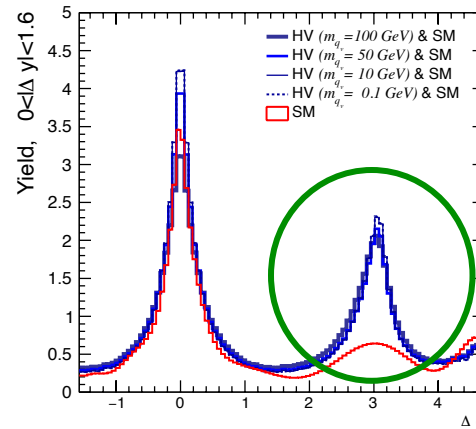
Effect of event selection

- SM reduced while keeping HV
- Yield becomes observable for HV discovery
- Long-range, near-side ridge in SM due to ISR effect (resonant Z production)
- Different behaviour between **signal** and **background**
→ **hint of New Physics**

before cuts



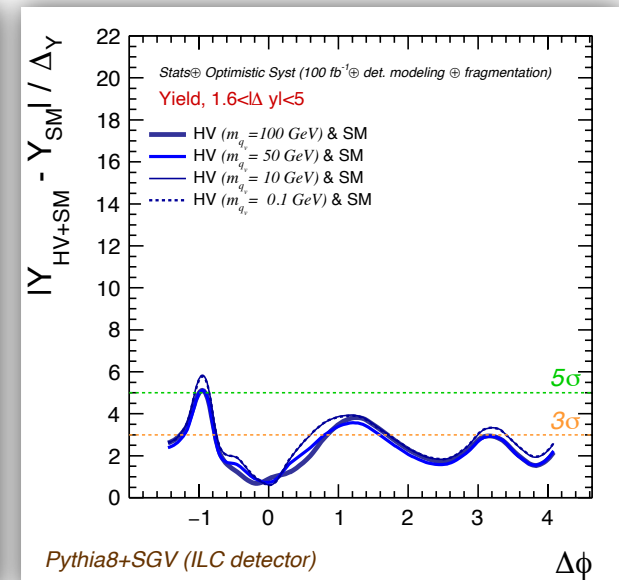
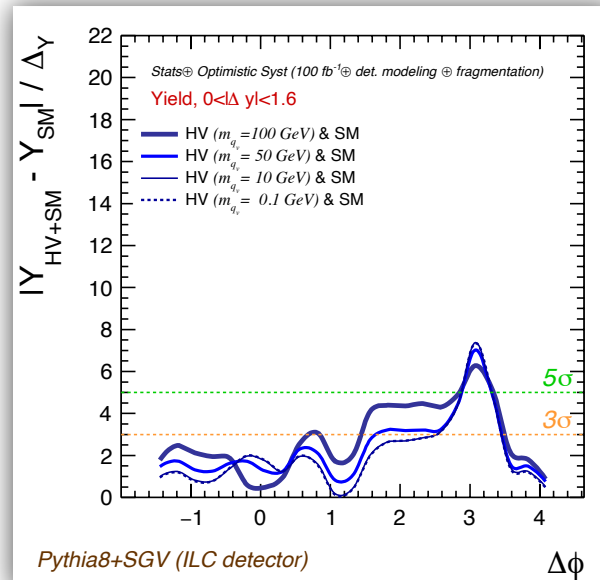
after cuts



$$Y(\Delta\phi) = \frac{\int_{1.6 \leq |\Delta y| \leq 3} S(\Delta y, \Delta\phi) dy}{\int_{1.6 \leq |\Delta y| \leq 3} B(\Delta y, \Delta\phi) dy}$$

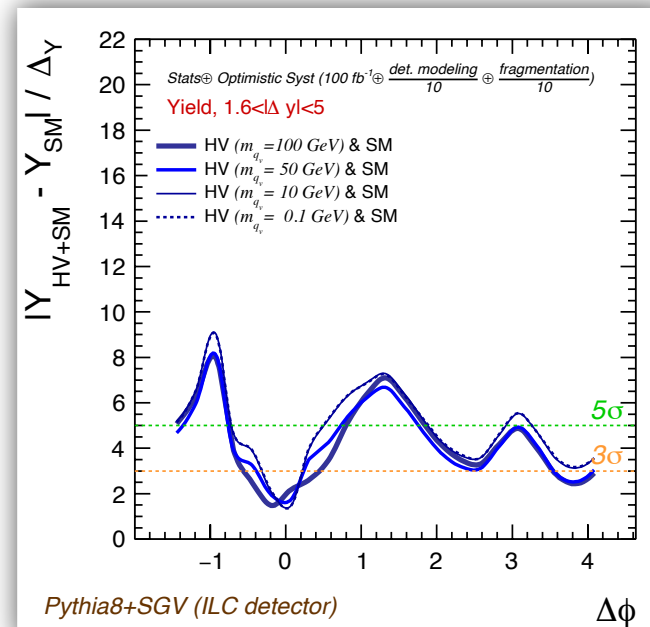
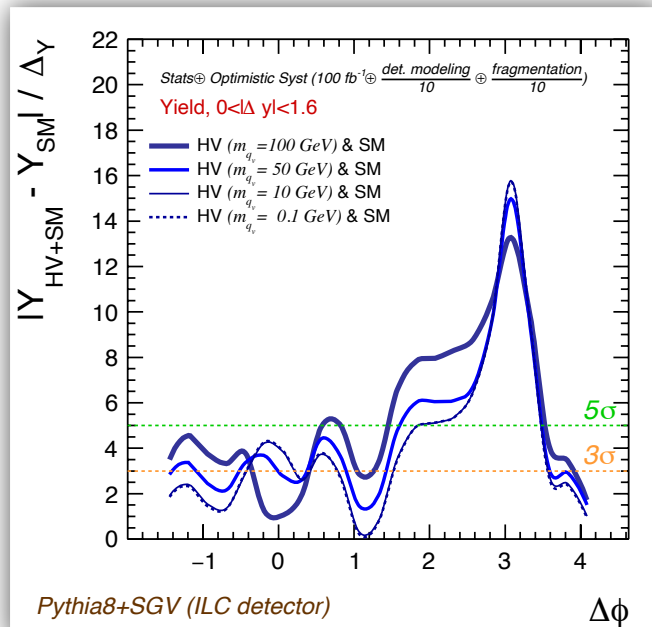
Uncertainties and sensitivity

- Uncertainties
 - statistical from luminosity: 100 fb^{-1} (first year)
 - parton shower, fragmentation and hadronisation: HERWIG7.3 vs PYTHIA8
 - detector modelling: partially or totally cancelled in two-particle correlation
 - conservative uncertainty added: particle- versus detector-level
- Sensitivity
 - $> 5\sigma$ in far peak



Sensitivity improvements

- Conservative uncertainty estimation \rightarrow room for improvement
- Assuming that systematic uncertainties improve by an order of magnitude, much better prospects
- Different hidden-quark (q_v) masses affects the sensitivity



Higher energies

- In the HV sector, $T_\nu T_\nu$ channel appears
- $t\bar{t}$ production appears in the SM background
- Contribution from SM decreases with the energy

| Process | $\sigma_{\sqrt{s}=500\text{GeV}}$ [pb] | $\sigma_{\sqrt{s}=1\text{TeV}}$ [pb] |
|----------------------------------------|-------------------------------------------------------|-------------------------------------------------------|
| $e^+e^- \rightarrow D_\nu \bar{D}_\nu$ | $m_{D_\nu} = 250 \text{ GeV}$ 2.4×10^{-2} | $m_{D_\nu} = 500 \text{ GeV}$ 4.4×10^{-3} |
| $e^+e^- \rightarrow T_\nu \bar{T}_\nu$ | $m_{T_\nu} = 250 \text{ GeV}$ 9.5×10^{-2} | $m_{T_\nu} = 500 \text{ GeV}$ 1.8×10^{-2} |
| $e^+e^- \rightarrow q\bar{q}$ with ISR | 11 | 2.9 |
| $e^+e^- \rightarrow t\bar{t}$ | 0.59 | 0.19 |
| $WW \rightarrow 4q$ | 3.4 | 1.3 |

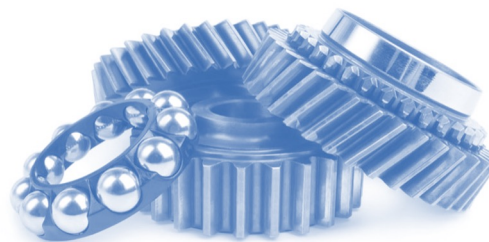
Conclusions

- **Two-particle angular correlations** in a e^+e^- factory can become a useful tool to discover New Physics
 - e.g. **Hidden Valley scenarios**
- Such searches are **complementary** to more conventional searches, thus increasing the discovery potential
- With conservative systematic uncertainties, sensitivity of $> 5\sigma$
- Future work
 - **longitudinally polarised beams**
 - **FCC-specific detector**

- E. Musumeci *et al*, “Two-particle angular correlations in the search for new physics at future e^+e^- colliders,” Proc. LCWS2023, [eConf C2305153](#) (2023), [arXiv:2307.14734](#) [hep-ph] ← **particle level**
- E. Musumeci, A. Irlles, R. Perez-Ramos, I. Corredoira, E. Sarkisyan-Grinbaum, VAM, M.A. Sanchis Lozano, “Exploring hidden sectors with two-particle angular correlations at future e^+e^- colliders,” [arXiv:2312.06526](#) [hep-ph]

Thank you for your
attention!

Spares



PYTHIA HV codes

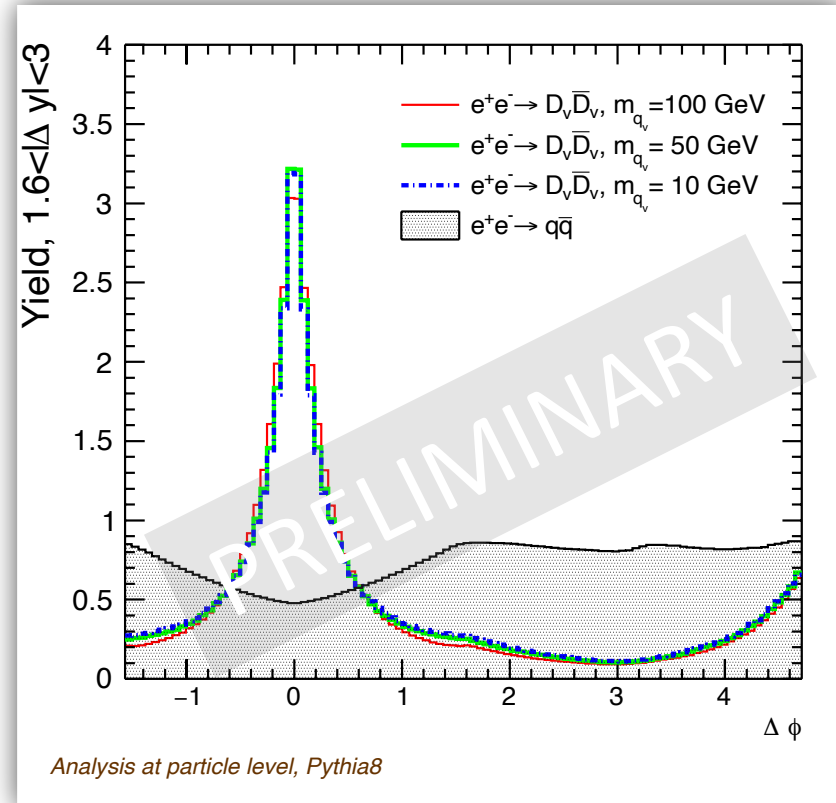
| name | partner | code | name | partner | code |
|------------|---------|---------|--------------|------------|---------|
| D_v | d | 4900001 | E_v | e | 4900011 |
| U_v | u | 4900002 | ν_{Ev} | ν_e | 4900012 |
| S_v | s | 4900003 | MU_v | μ | 4900013 |
| C_v | c | 4900004 | ν_{MUv} | ν_μ | 4900014 |
| B_v | b | 4900005 | TAU_v | τ | 4900015 |
| T_v | t | 4900006 | ν_{TAUv} | ν_τ | 4900016 |
| g_v | | 4900021 | | | |
| γ_v | | 4900022 | | | |
| q_v | | 4900101 | | | |

Azimuthal yield $Y(\Delta\phi)$

- Correlation-function projection for $1.6 < |\Delta y| < 3$ (long range)

$$Y(\Delta\phi) = \frac{\int_{1.6 \leq |\Delta y| \leq 3} S(\Delta y, \Delta\phi) dy}{\int_{1.6 \leq |\Delta y| \leq 3} B(\Delta y, \Delta\phi) dy}$$

- Two completely different behaviours between **signal** and **background**
- $\Delta\phi \sim 0$
 - bump** for the HV case
 - valley** in the SM expectation
- $\Delta\phi \sim \pi$
 - valley** (i.e. no contribution) for HV
 - SM contribution remains \sim constant



Distribution shapes

- Pre-selection (w.r.t. beam axis)
 - final-state particles with transverse momentum $p_T > 0.5$ GeV
 - $|\cos\vartheta| \leq 0.99$ for detector acceptance
- Charged-particle multiplicity and di-jet invariant mass different between signal and background
- q_V -dependent cut

