

ATLAS Jet Reconstruction and Calibration

LHC Electroweak Working Group (EWWG) Meeting

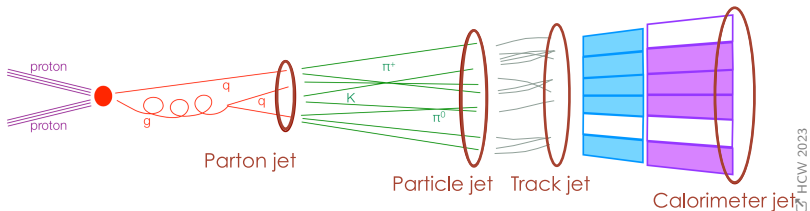
Tobias Fitschen, Ana Peixoto (Jet Definitions and MC Calibration Conveners)

On behalf of the ATLAS Collaboration

26 June 2024

University of Manchester



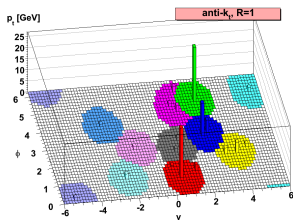


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Jet definitions

- **Particle** (truth) jets (MC only)
- **Track** jets: tracker info only
- **Calo** jets: calo info only
 - LCTopo, EMTopo
- **Combined** track+calo jets
 - ParticleFlow, UFO, TrackCaloCluster

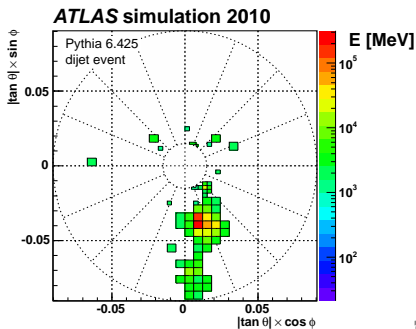
Anti- k_T jet algorithm



arxiv:0802.1189

- Mostly circular in $y - \phi$ plane
- Used for most purposes

**Constituents:
TopoClusters**



☞ PERF-2014-07

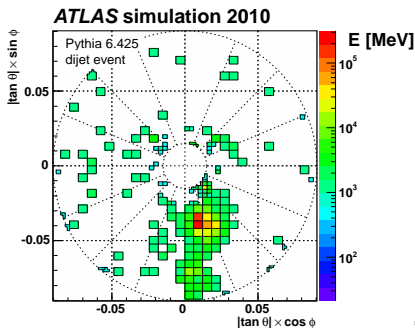
Topological Clusters

of E deposits in calorimeter cells

→ algorithm:

- 1 **Seed:** Find cells with energy
 $E > 4 \times |\zeta|$

Cell noise ratio: $\zeta_{\text{cell}}^{\text{EM}} = \frac{E_{\text{cell}}^{\text{EM}}}{\sigma_{\text{noise,cell}}^{\text{EM}}}$



PERF-2014-07

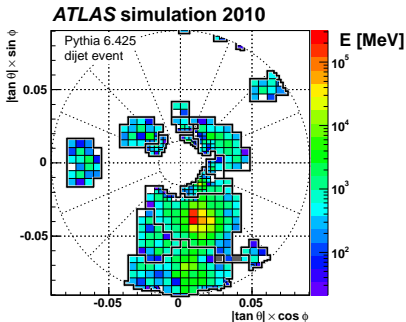
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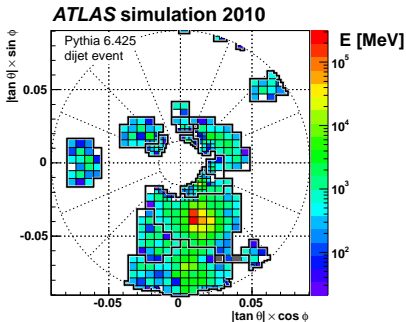
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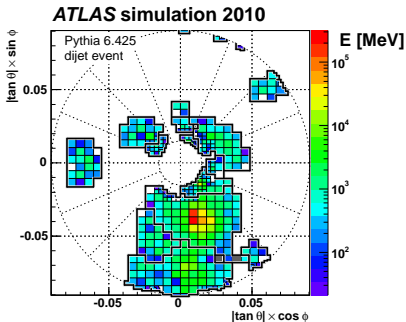
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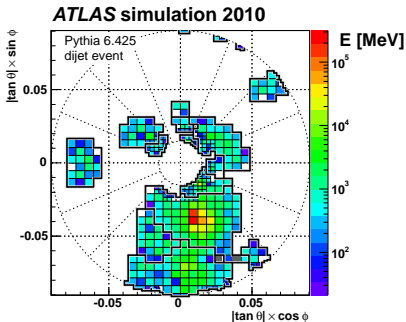
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Jets build from TopoClusters are called **EMTopo** Jets

EM: Electromagnetic scale



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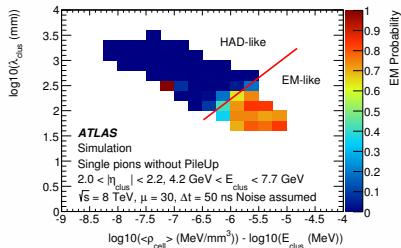
→ ATLAS calorimeters are non-compensating

→ EM response ≈ 1 , hadronic response < 1

Local Cluster Weighting (LCW)

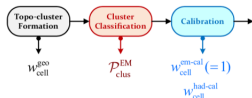


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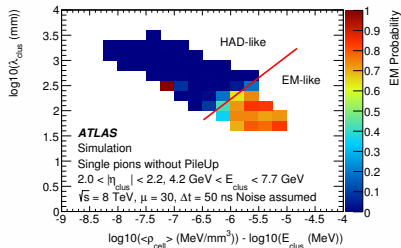


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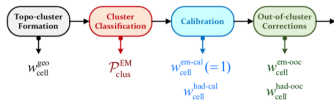
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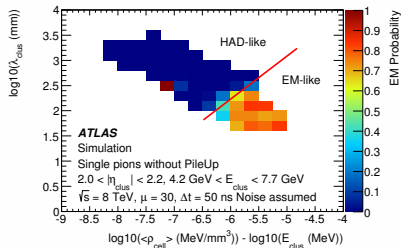
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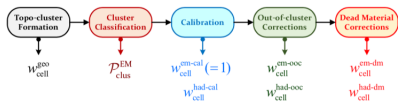
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- Their momenta are reweighted (w) by
 - Difference in **response due to non-compensating calorimeter**



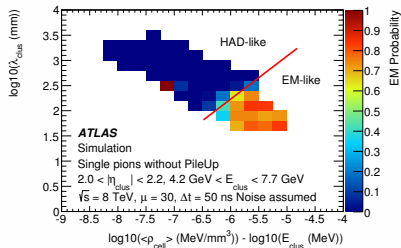
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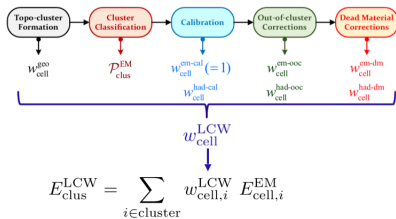
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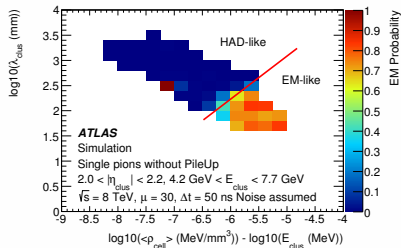
PERF-2014-07

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 - **Inactive/dead regions** of the detector

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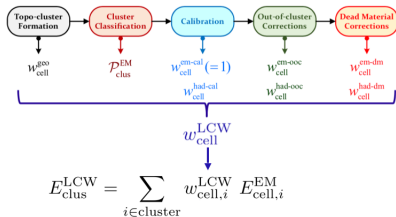
HCW 2023



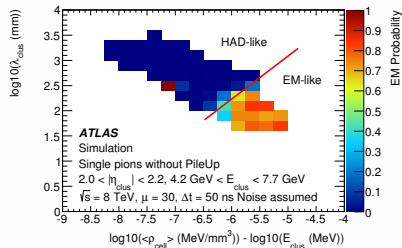
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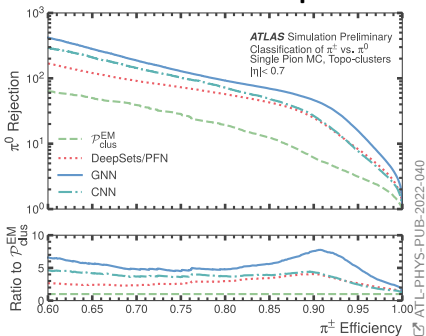
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Jets build from TopoClusters+LCW are called **LCTopo** Jets
used for large-R ($R = 1.0$) jets in Run 2

Recent Development: ML Cluster Calibration

First step in cluster calibration: Differentiate EM from hadronic clusters
 Non-compensating ATLAS calorimeter requires different calibrations for neutral/charged clusters

π^0 vs π^\pm classification performance



Point cloud of energy deposits in calorimeter cells

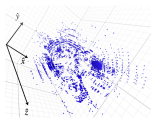
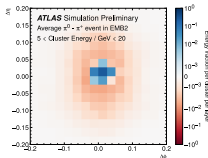


Image: $\pi^0 - \pi^\pm$ difference



Baseline used in LCW: \mathcal{P}_{clus}^{EM}

- Binned EM-scale cluster variables
 - Total cluster energy $E_{cluster}^{EM}$
 - Pseudorapidity η
 - Longitudinal depth λ_{clus}
 - 1st cell energy moment $\langle \rho_{cell} \rangle$
- Combined into likelihood \mathcal{P}_{clus}^{EM}

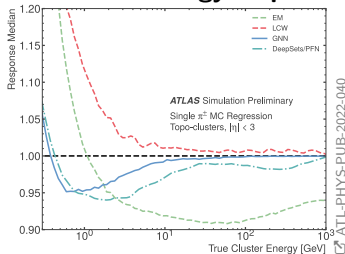
Individual calorimeter cell signals

- As point clouds (**GNN**, **PFN**)
- Or projected on images (**CNN**)

Observations

- All point cloud methods significantly outperform baseline \mathcal{P}_{clus}^{EM}

π^\pm cluster energy response



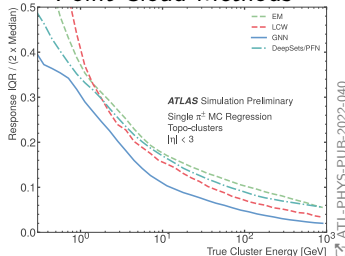
ATL-PHYS-PUB-2022-040

Second step: Energy Calibration Observations

- **GNN** performs best wrt. response and width
- Followed by **Deep Sets**
- New: **Bayesian NN (BNN)**

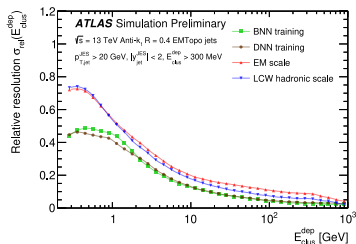
Cluster Energy Resolution

Point Cloud Methods



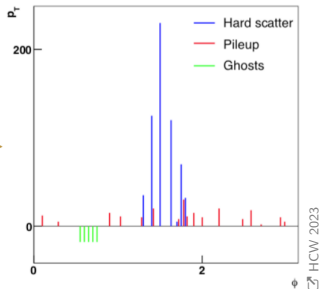
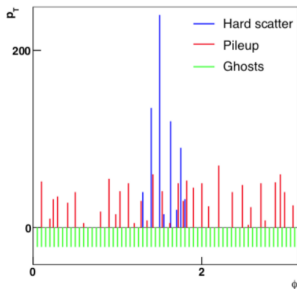
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DNN / BNN

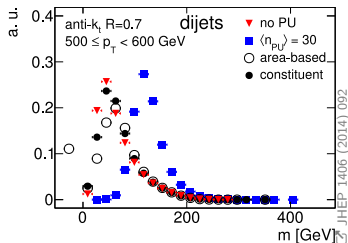


ATL-PHYS-PUB-2023-019

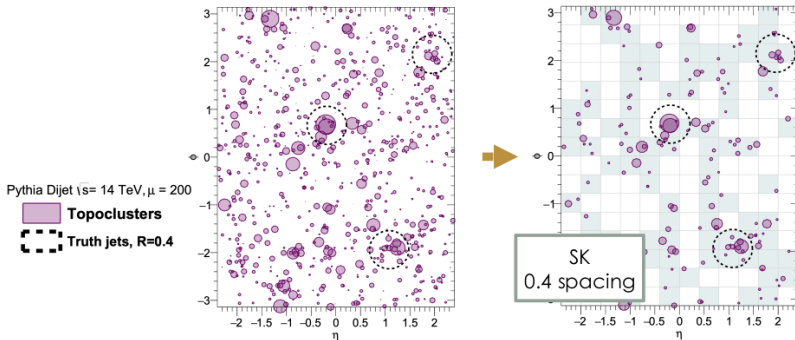
Pileup Mitigation at Constituent Level



- Add **ghosts** in grid of
 $A_g = \eta \times \phi = 0.1 \times 0.1$
- With $p_T^g = A_g \times \rho$
 - $\rho = \text{med}\left\{\frac{p_T}{A}\right\}$: median energy density in event
 - Measure of PU in event
- Subtract p_T^g from p_T of **constituents** c within $\Delta R(g, c)$



Mass profile with CS closer to no-PU than with area-based alone 6/21



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- CS: Scales **constituents**
- SK: Removes **constituents**
- Consider **constituents** in η, ϕ grid
- All **constituents** with $p_T < p_T^{\text{cut}}$ are removed
- p_T^{cut} determined such that half of grid cells are empty

ATLAS uses CS+SK for $R=1.0$ jets

Constituents: Adding Tracks

the tracker p_T resolution

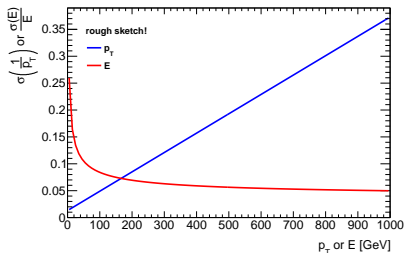
$$\sigma\left(\frac{1}{p_T}\right) = 0.036\% \cdot p_T \oplus 1.3\%$$

is better than the calorimeter E resolution

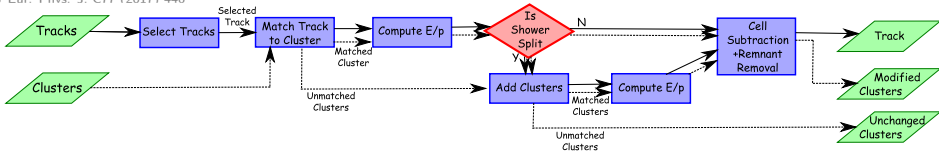
$$\frac{\sigma(E)}{E} = \frac{50\%}{\sqrt{E}} \oplus 3.4\% \oplus \frac{1\%}{E}$$

☞ source

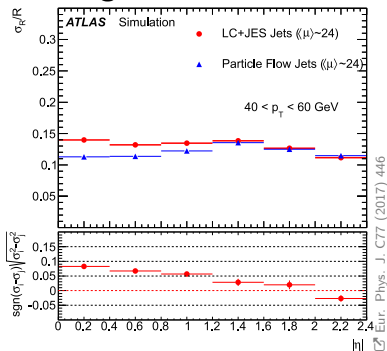
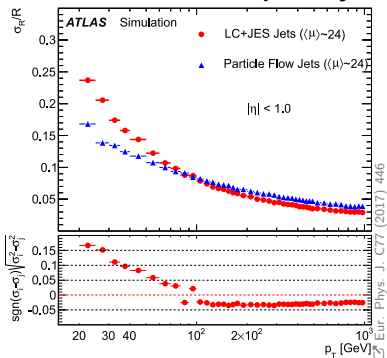
Additionally, the tracker has better acceptance (threshold) for soft particles



**Jet definitions used in Run 3 (and partly Run 2)
rely on calo+track information**



PFlow makes use of tracking information at constituent level
 shows great JER improvement over **calo jets** in low- p_T
 Especially in the central region



In addition to $R=0.4$ many analyses use $R=1.0$ jets

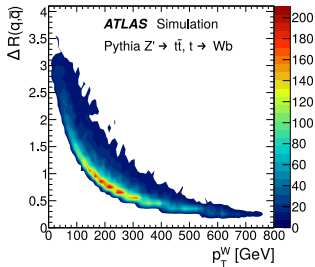
Best option depends on $p_T(V)$:

- Separation inversely proportional to transverse momentum p_T

$$\Delta R(q, q') \approx \frac{2m_W}{p_T^W}$$

- For $m_W = 80$ GeV, $R = 0.4$ cones around qq' overlap ($\Delta R < 0.8$) at $p_T > 200$ GeV

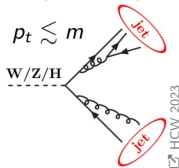
→ Reconstruct merged



arxiv:1306.4945

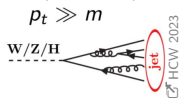
resolved

(2 $R = 0.4$ jets)



merged

(1 $R = 1.0$ jet)



Jet-tagging can be done to identify initiator of $R=1.0$ jets

→ need good mass and substructure resolution

Combine track with calo information for jet-mass definition

- Tracks are \varnothing ghost-associated to calo-jet, yielding track mass m^{track}
- Scaled by calo/track correction factor accounting for neutral components

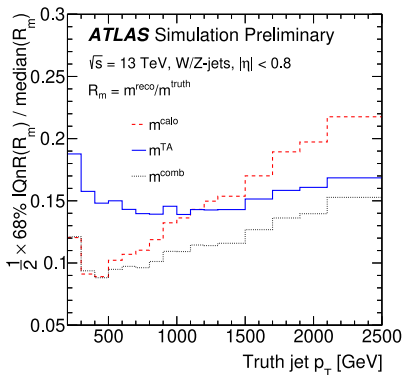
$$m^{\text{TA}} = \frac{p_{\text{T}}^{\text{calo}}}{p_{\text{T}}^{\text{track}}} \times m^{\text{track}}$$

- Linearly combined with calo mass according to resolution σ

$$m^{\text{comb}} = m_{\text{calo}} \frac{\sigma_{m_{\text{calo}}}^{-2}}{\sigma_{m_{\text{calo}}}^{-2} + \sigma_{m_{\text{TA}}}^{-2}} + m_{\text{TA}} \frac{\sigma_{m_{\text{TA}}}^{-2}}{\sigma_{m_{\text{calo}}}^{-2} + \sigma_{m_{\text{TA}}}^{-2}}$$

→ Improved mass resolution over the whole p_{T} range

→ but only for mass, not for variables

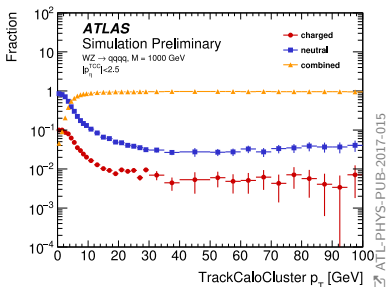
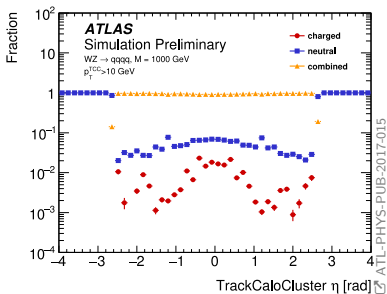


Make use of excellent angular resolution of track for substructure

- Resolution-based track-to-cluster matching

$$\Delta R < \sqrt{\sigma_{\text{cluster}}^2 + \sigma_{\text{track}}^2}$$

- resulting in 3 different constituents:
 - combined**: clusters matched to tracks from primary vertex (PV)
 - charged**: tracks from PV not matched to any cluster
 - neutral**: clusters not matched to any track (from the PV)
 - Clusters matched to tracks from PU vertices are **discarded**



Make use of excellent angular resolution of track for substructure

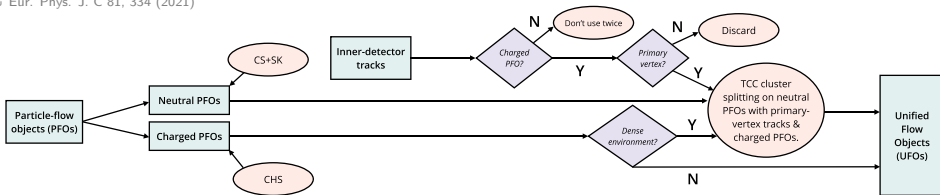
- Each track can be part of multiple **combined** objects
- And any **combined** object can include many tracks
- But each track τ defines only one TCC with the 4-vector

$$p_{\tau}^{\text{TCC}} = (p_{\text{T}}[\mathcal{M}_{\tau}], \eta^{\tau}, \phi^{\tau}, m[\mathcal{M}_{\tau}])$$

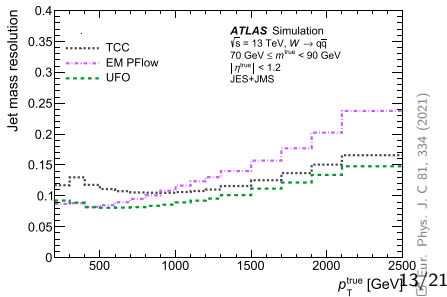
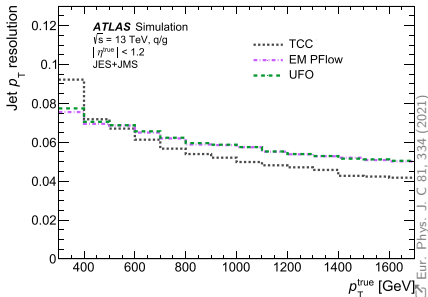
- η, ϕ purely track-based
- p_{T}, m based on TCC energy-sharing equation:

$$\mathcal{M}_{\tau} = \sum_c p^c f_{\tau}^c \mathcal{F}_{\tau}^{c,\tau}$$

- Sum of momenta p^c of clusters c matched to τ weighted by:
 - f_{τ}^c : how much $p_{\text{T}} c$ contributes out of all clusters in τ
 - $\mathcal{F}_{\tau}^{c,\tau}$: how much p_{T} this τ demands out of all τ



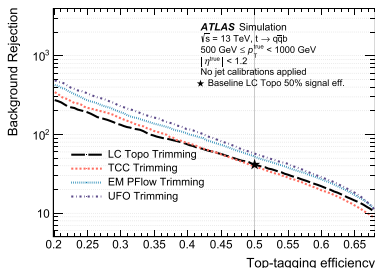
PFlow Shows best jet mass and p_T resolution at low p_T
TCC performs better at high p_T
UFO combines the best of both



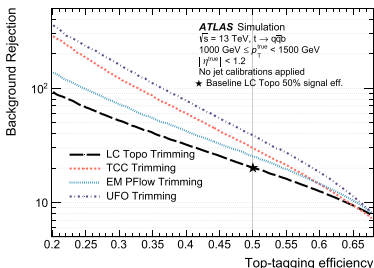
Extensive effort in ATLAS to find best jet definition for tagging:
Eur. Phys. J. C 81, 334 (2021)

- Expected tagger performance evaluated for simple 2-variable cuts:
 - W/Z tagger: m, D_2
 - Top tagger: m, τ_{32}

UFO jets show best performance for simple top tagger:



$500 \text{ GeV} < p_T^{\text{true}} < 1000 \text{ GeV}$

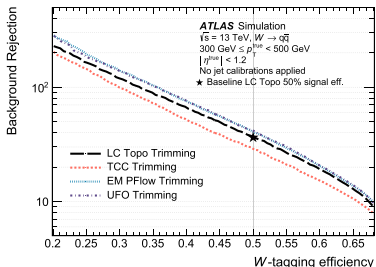


$1000 \text{ GeV} < p_T^{\text{true}} < 1500 \text{ GeV}$

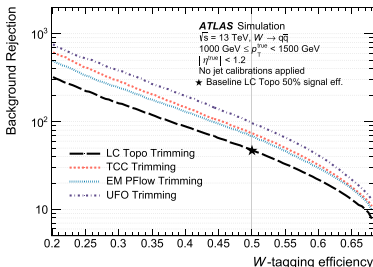
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...as well as simple W tagger:



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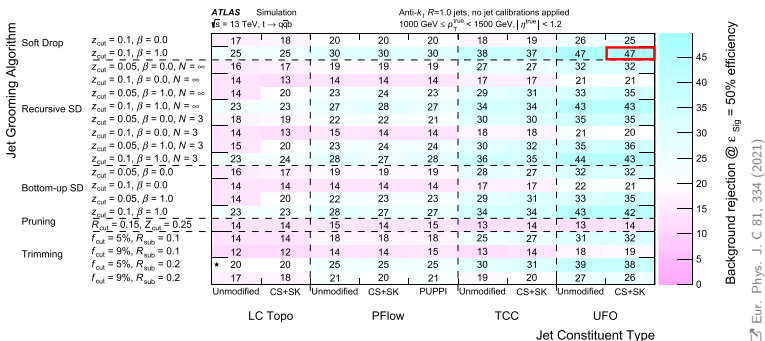


$1000 \text{ GeV} < p_T^{\text{true}} < 1500 \text{ GeV}$

Grooming

Background rejection for various pileup mitigations and groomings:

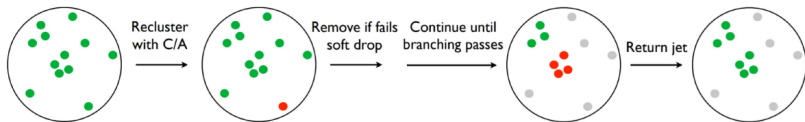
Here: 2-variable top tagger, high- p_T range
(plots for W and low- p_T in backup)



Best background rejection with:

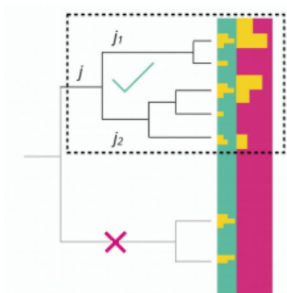
- $R = 1.0$ anti- k_T **UFO** jets
- Pileup Mitigation: Constituent Subtraction + SoftKiller (**CS+SK**)
- Grooming: Soft Drop (**SD**) with $\beta = 1.0$ $z_{\text{cut}} = 0.1$

Other factors: Good pileup stability, mass resolution, ...



SVJ workshop 2022

- Re-cluster using Cambridge/Aachen (closer constituents first)
- Consider splitting history
- At each split either keep both or reject one branch
- Based on splitting condition:
- Tunable parameters determined empirically: $z_{\text{cut}} = 0.1$, $\beta = 1.0$



$$\frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}} > z_{\text{cut}} \left(\frac{\Delta R_{12}}{R_0} \right)^\beta$$

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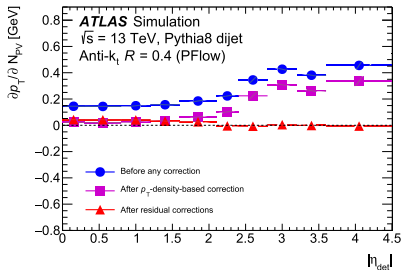
Jet Calibration

Reconstructed
jets →

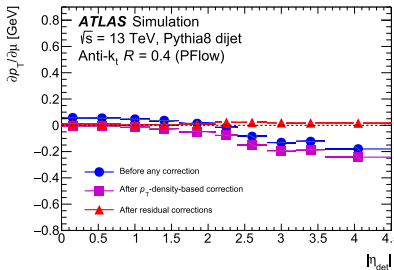


Pileup Correction

$$p_T^{\text{corr}} = p_T^{\text{reco}} - \rho \times A - \alpha \times N_{\text{PV}} - \beta \times \langle \mu \rangle$$



In-time pile-up dependence



Out-of-time pile-up dependence

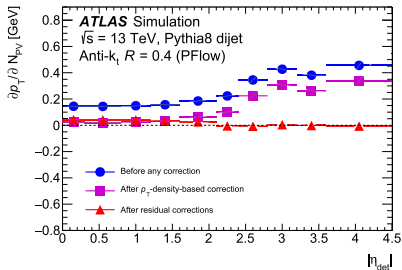
- **Jet-Area based correction**

- For in-time PU, based on event energy density ρ and jet area A

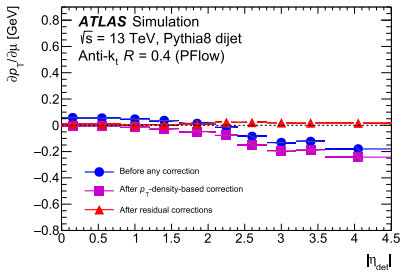


Pileup Correction

$$p_T^{\text{corr}} = p_T^{\text{reco}} - \rho \times A - \alpha \times N_{\text{PV}} - \beta \times \langle \mu \rangle$$



In-time pile-up dependence



Out-of-time pile-up dependence

- **Jet-Area based correction**

- For in-time PU, based on event energy density ρ and jet area A

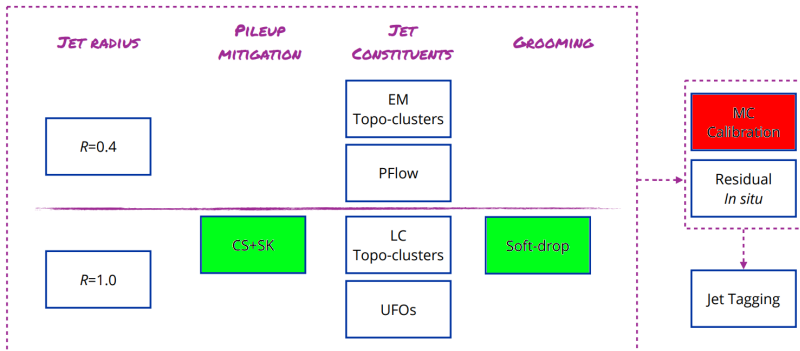
- **Residual correction**

- Based on number of primary vertices N_{PV} (in-time) and avg. number of bunch-crossing (out-of-time) over multiple events



PU correction applied to small ($R=0.4$) jets only

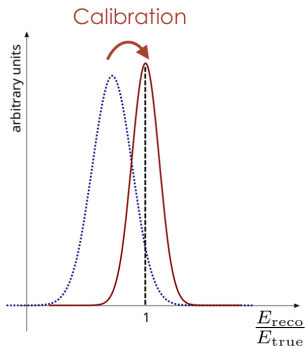
Large ($R=1.0$) jets: **CS+SK PU mitigation + SoftDrop**
before **MC calibration** instead





- Calculate E response in bins of η and E_{true} in MC
- Numerical inversion yields calibration factors
- Origin correction corrects jet η
- Largest calibration step that brings response on average to 1

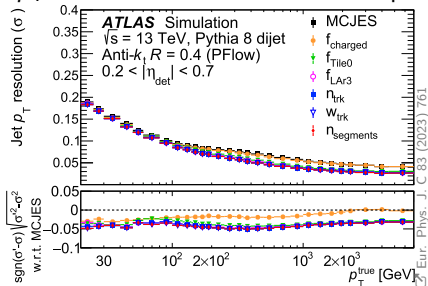
$$R(E_{\text{jet}}^{\text{truth}}, \eta_{\text{det}}) = E_{\text{jet}}^{\text{reco}} / E_{\text{jet}}^{\text{truth}}$$



$$R(E_{\text{jet}}^{\text{truth}}, \eta_{\text{det}}) \rightarrow R^{-1}(E_{\text{jet}}^{\text{reco}}, \eta_{\text{det}})$$



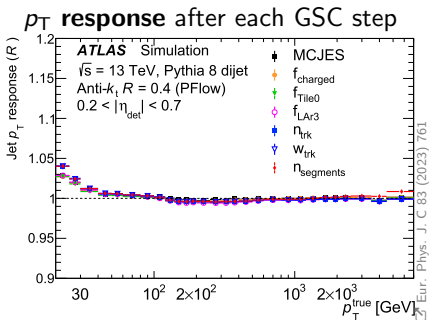
p_T resolution after each GSC step



Global Sequential Calibration

- After energy scale calibrated on average, **GSC** corrects for small differences
- E.g. for different jet flavours
- **Sequentially** corrects for each variable
- Only for small ($R=0.4$) jets

GSC improves JER by applying different corrections for different population of jets (e.g. q/g initiated)



Global Sequential Calibration

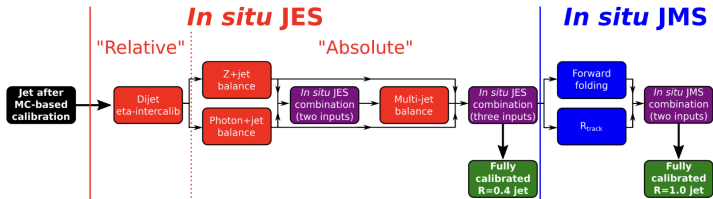
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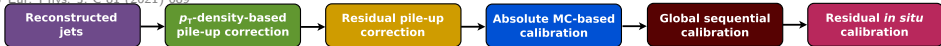
GSC improves JER by applying different corrections for different population of jets (e.g. q/g initiated) but leaves JES on average the same



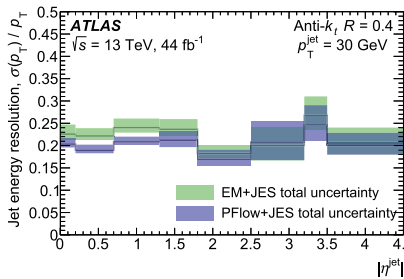
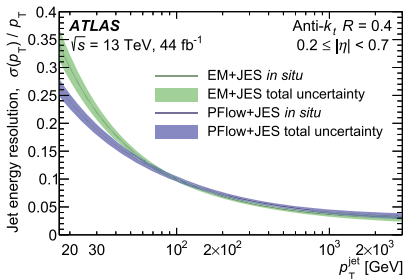
In-situ calibration in data

Corrects jets with high uncertainty (e.g. forward)
based on well-known (photons, central jets...) objects



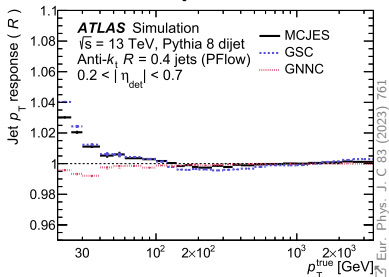


Jet Energy Resolution (JER)
after full calibration
for **EMTopo** and **PFlow** R=0.4 jets

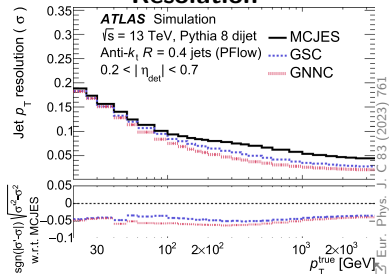


Recent Developments: ML Jet Calibration

Response



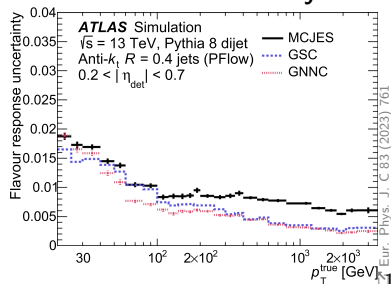
Resolution



Global NN Calibration (GNNC)

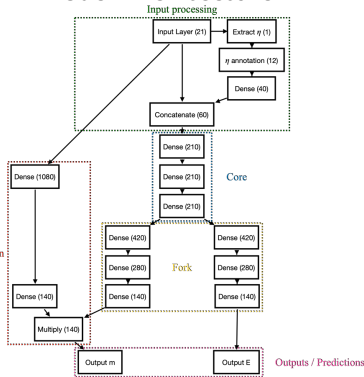
- **GSC** Does not exploit correlations of variables
 - New method (**GNNC**) uses MLP trained to predict p_T response
- Improvement over full p_T range

Flavour Uncertainty



Simultaneous Calibration of Jet Energy and Mass using ML

Model Architecture



Method:

- Predict responses

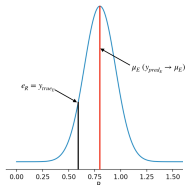
$$R_E = \frac{E_{\text{reco}}}{E_{\text{true}}}, R_M = \frac{M_{\text{reco}}}{M_{\text{true}}}$$

- Modeled by Gaussians

$$y_{\text{pred}} = (\mu^E, \sigma^E, \mu^m, \sigma^m)_{\text{pred}}$$

⇒ Calibration Factors:

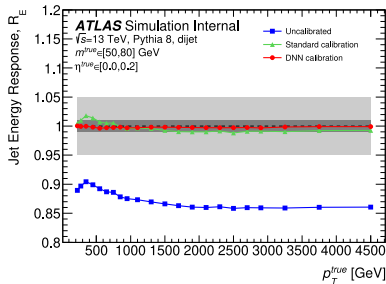
$$E_{\text{calib}} = \frac{E_{\text{reco}}}{\mu_{\text{pred}}^E}, M_{\text{calib}} = \frac{M_{\text{reco}}}{\mu_{\text{pred}}^M}$$



Mixture density network (MDN) loss:

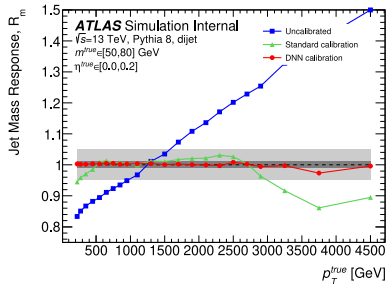
$$\mathcal{L}_{\text{MDN}} = -\log(P(y_{\text{true}}, y_{\text{pred}})) = \log(\sigma_{\text{pred}}) + \frac{1}{2} \frac{(y_{\text{true}} - \mu_{\text{pred}})^2}{\sigma_{\text{pred}}^2}$$

Response: E



arxiv:2311.08885

Response: M

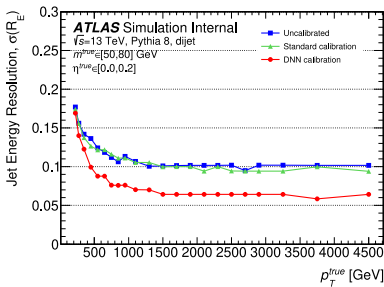


arxiv:2311.08885

Improvement across the board

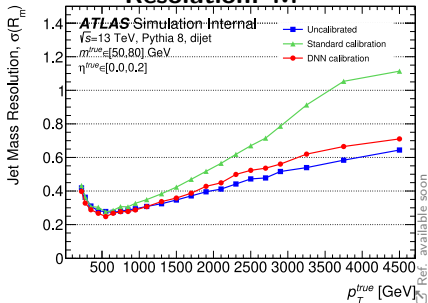
- **DNN**: better closure than **standard** calib. in response for E and M
- M response stable even in low and high p_T regime
- Resolution drastically improved
- Less dependence on η , pileup, MC generator for E and M
- More stable across different processes (H, W/Z, top) for E and M
- More stable across different flavours (q/g) for E and M

Resolution: E



Ref. available soon

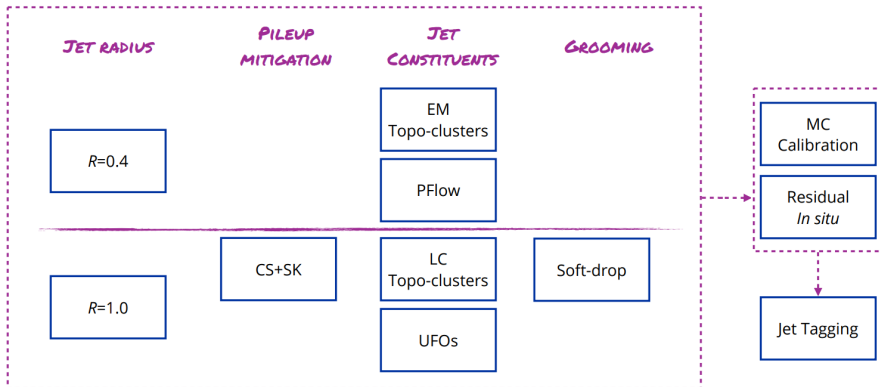
Resolution: M



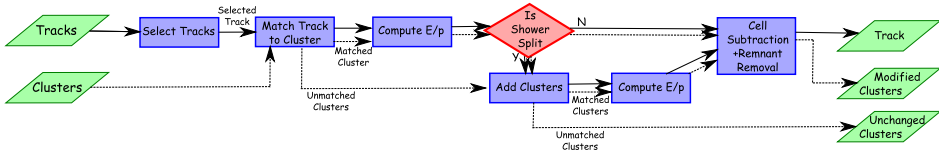
Ref. available soon

Improvement across the board

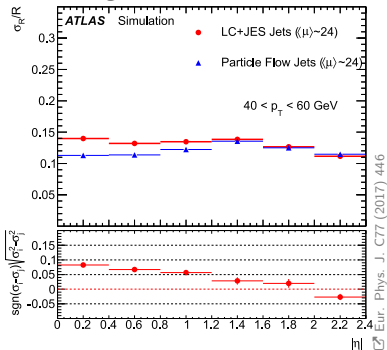
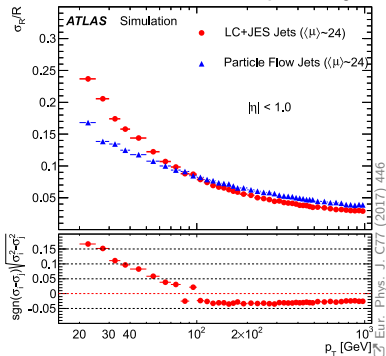
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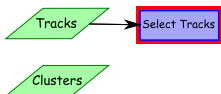


Appendix



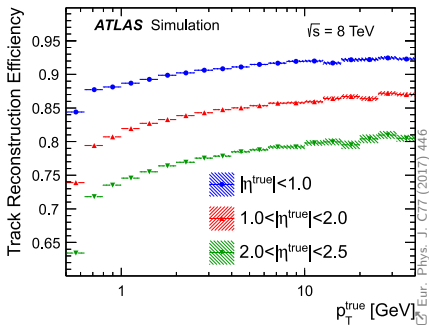
PFlow makes use of tracking information at constituent level
 shows great JER improvement over **calo jets** in low- p_T
 Especially in the central region

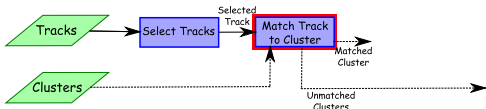




Track Selection

- ≥ 9 hits in Si detectors
- No missing pixels in track
- $|\eta| < 2.5$, $0.5 > p_T > 40$ GeV
- Not matched to e or μ





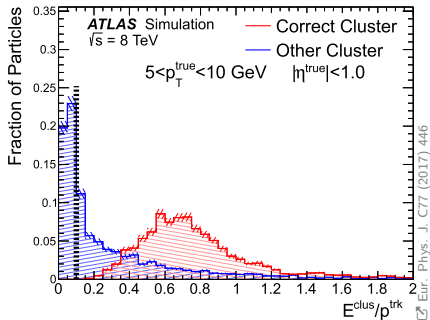
Track-cluster matching

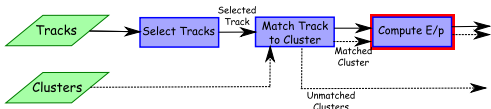
- Matched to cluster with minimum distance metric

$$\Delta R' = \sqrt{\left(\frac{\Delta\Phi}{\sigma_\Phi}\right)^2 + \left(\frac{\Delta\eta}{\sigma_\eta}\right)^2} < 1.64$$

σ : ang. cluster widths

- And $\frac{E^{\text{clus}}}{p^{\text{trk}}} > 0.1$





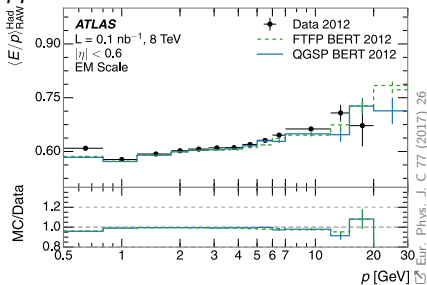
E/p Correction

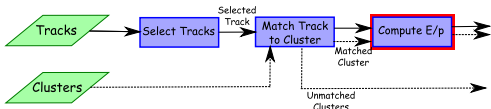
- Avg deposited energy of particle:

$$\langle E_{\text{dep}} \rangle = p^{\text{trk}} \langle E_{\text{ref}}^{\text{clus}} / p_{\text{ref}}^{\text{trk}} \rangle$$
- $\langle E_{\text{ref}}^{\text{clus}} / p_{\text{ref}}^{\text{trk}} \rangle$ measured in isolated single π
- Sum E of clusters in $\Delta R = 0.4$ cone around track
- Binned in $p_{\text{T}}^{\text{trk}}, \eta^{\text{trk}}$, LHED (Layer of Highest Density)

low- p_{T} :

in isolated single hadrons inclusive
 pp collisions





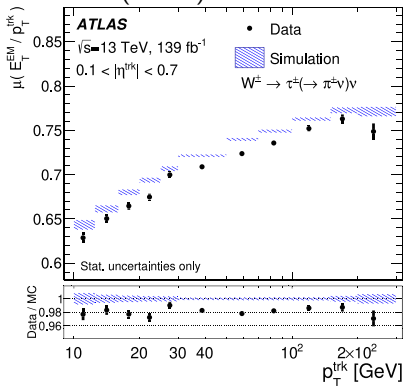
E/p Correction

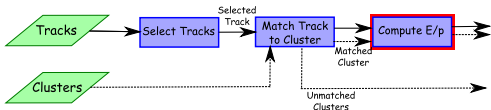
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- $\langle E_{\text{ref}}^{\text{clus}} / p_{\text{ref}}^{\text{trk}} \rangle$ measured in isolated single π
- Sum E of clusters in $\Delta R = 0.4$ cone around track
- Binned in $p_{\text{T}}^{\text{trk}}, \eta^{\text{trk}}$, LHED (Layer of Highest Density)

higher p_{T} :

in $W \rightarrow \tau(\rightarrow \pi\nu)\nu$





Layer of highest Density (LHED)

- Energy density of j th cell in i th calo layer:

$$\rho_{ij} = \frac{E_{ij}}{V_{ij}} \text{ (GeV}/X_0^3\text{)}$$

E : energy, V : volume of cell measured in rad length X

- Weighted based on proximity to track by gaussian with width $\Delta R = 0.035$

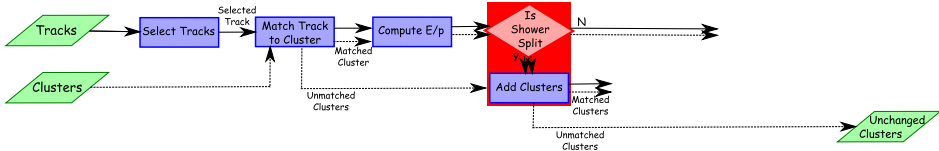
- Avg E density for each layer:

$$\langle \rho' \rangle_i = \sum_j w_{ij} \rho_{ij}$$

→ LHED is layer with max change of ρ' :

$$\Delta \rho'_i = \frac{\langle \rho' \rangle_i - \langle \rho' \rangle_{i-1}}{d_i - d_{i-1}}$$

d_i : depth of layer i

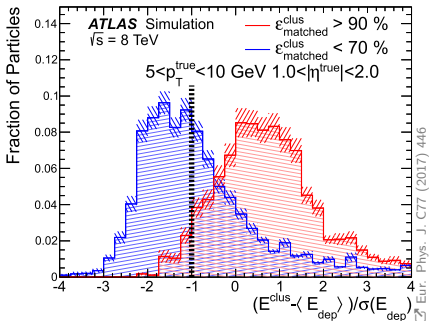


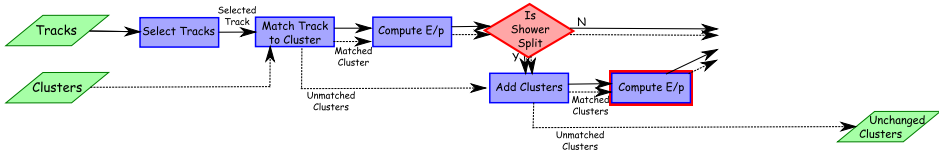
Recover Split Showers

- Often particles deposit energy in more than 1 cluster
- If **single**/**multi** cluster discriminant:

$$S(E^{\text{clus}}) = \frac{E^{\text{clus}} - \langle E_{\text{dep}} \rangle}{\sigma(E_{\text{dep}})} < -1$$

recover clusters within
 $\Delta R < 0.2$ of track



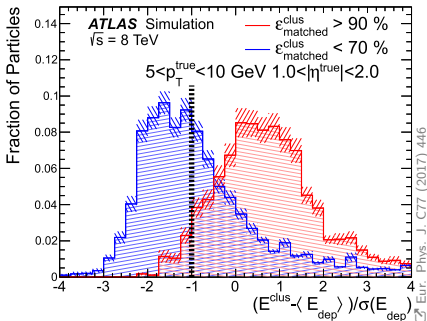


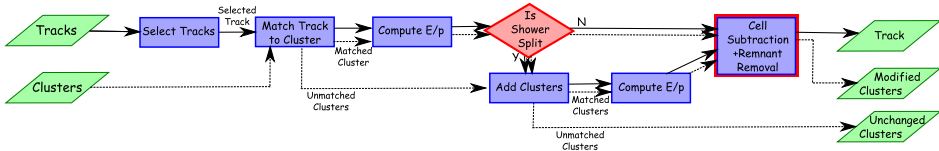
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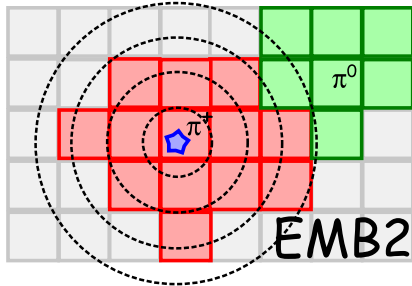


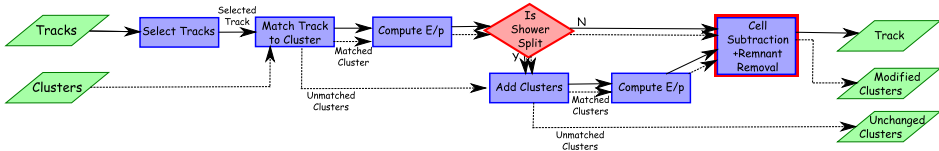


Cell-by-cell subtraction

- If $\langle E_{\text{dep}} \rangle = p^{\text{trk}} \langle E_{\text{ref}}^{\text{clus}} / p_{\text{ref}}^{\text{trk}} \rangle$ after correction $> \sum_i \text{matched } E_i^{\text{clus}}$:
all clusters are removed

cell-by-cell subtraction

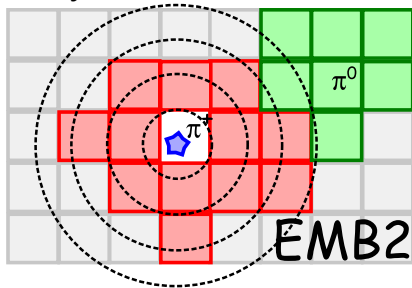


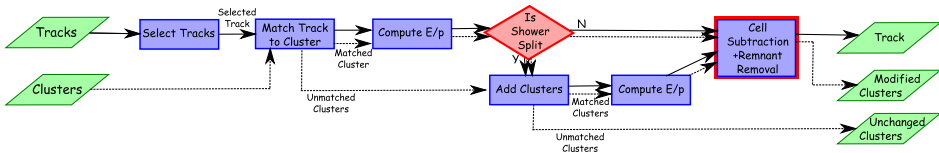


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- Else: clusters in rings around track subtracted from highest-to-lowest energy density
- In each layer, starting in LHED
- Until $E_{\text{after subtr}} < \langle E_{\text{dep}} \rangle$

cell-by-cell subtraction

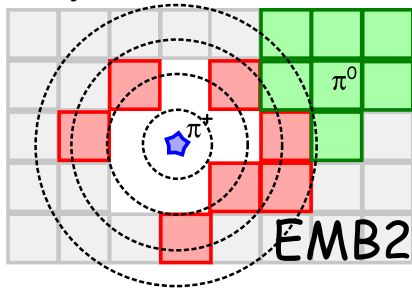


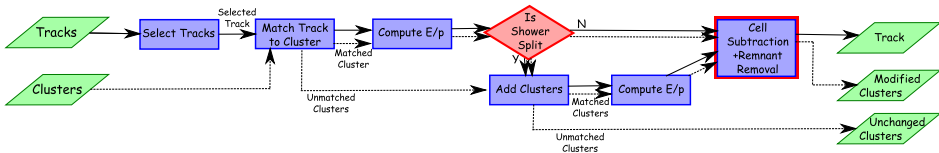


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cell-by-cell subtraction

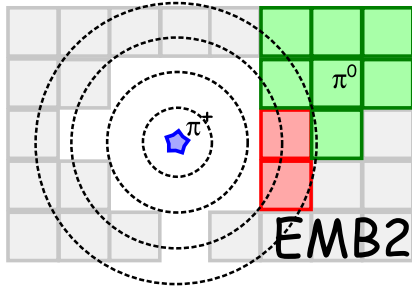


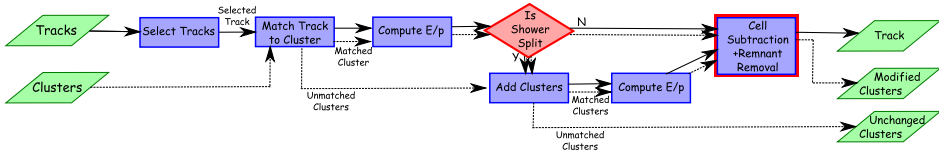


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- Else: clusters in rings around track subtracted from highest-to-lowest energy density
- In each layer, starting in LHED
- Until $E_{\text{after subtr}} < \langle E_{\text{dep}} \rangle$

cell-by-cell subtraction

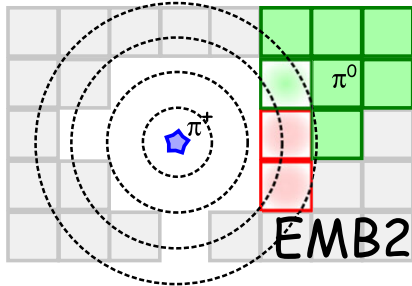




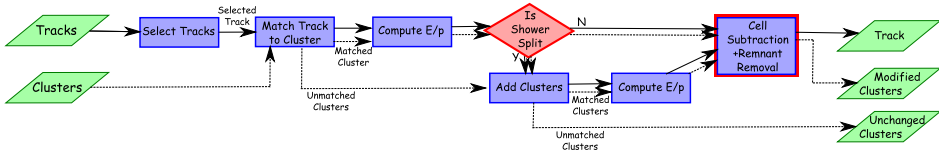
Cell-by-cell subtraction

- If $\langle E_{\text{dep}} \rangle = p^{\text{trk}} \langle E_{\text{ref}}^{\text{clus}} / p_{\text{ref}}^{\text{trk}} \rangle$ after correction $> \sum_i \text{matched } E_i^{\text{clus}}$:
all clusters are removed
- Else: clusters in rings around track subtracted from highest-to-lowest energy density
- In each layer, starting in LHED
- Until $E_{\text{after subtr}} < \langle E_{\text{dep}} \rangle$
- Then scale cluster energies accordingly

cell-by-cell subtraction

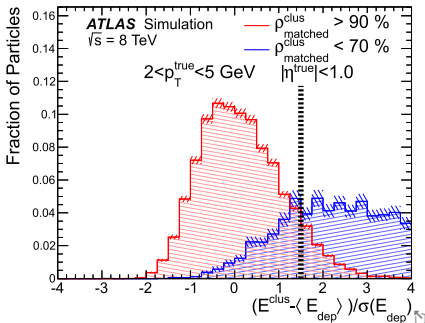


How to Make a PFlow Jet

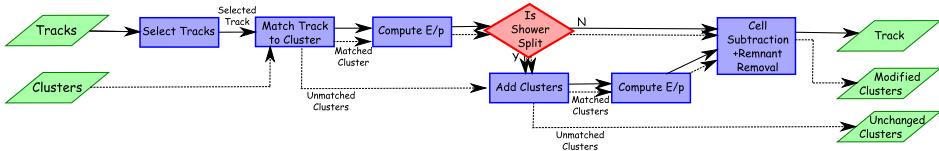


Remnant removal

- If remaining cell $E < 1.5\sigma$ of width of $p^{\text{trk}} \langle E_{\text{ref}}^{\text{clus}} / p_{\text{ref}}^{\text{trk}} \rangle$:
 - Cluster-system likely produced by single particle
 - Remaining E removed
- Else:
 - likely produced by multiple particles
 - Remaining E retained



How to Make a PFlow Jet



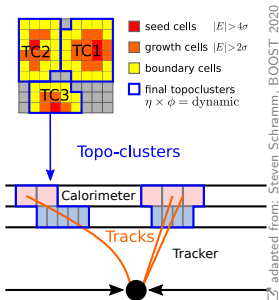
Done!

Final constituents: Remaining clusters and tracks

→ **Goal of pflow procedure:** Avoid double-counting between them

Calorimeter only:

- **LCTopo**: Topological calorimeter clusters

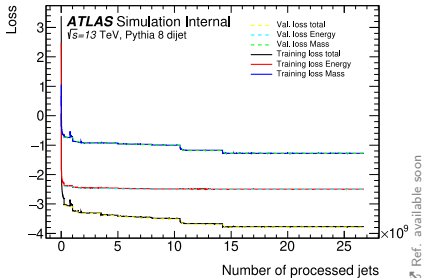


Combined with tracking:

- **PFlow**: Particle Flow Objects
 - Low p_T : Use **track** 4-vector for charged particles, subtract energy from **cluster** 4-vectors
 - High p_T : Use **cluster** 4-vectors, ignore **tracks**
- **TCC**: Track Calo Clusters
 - Low p_T : Use **cluster** 4-vectors, ignore **tracks**
 - High p_T : Split **clusters** using **tracks**, get energy from **clusters** but angles from **tracks**

Combining PFlow and TCC:

- **UFO** combines **TCC** and **PFlow** to achieve optimal performance over a broad kinematic (p_T) range



Steps	N [*]	Number of epochs	Batch size	Loss
Initialisation	1	2	15000	MDNA
	2	2	25000	MDNA
	3	2	35000	MDNA truncated (4.0 σ)
	4	2	15000	MDNA truncated (3.5 σ)
Common training	5	6	95000	MDNA truncated (3.5 σ)
	6	6	95000	MDNA truncated (3.5 σ)
	7	6	125000	MDNA truncated (3.2 σ)
	8	6	125000	MDNA truncated (3.2 σ)
	9	10	155000	MDNA truncated (3.0 σ)
	10	15	95000	MDNA truncated (E: 3.0 σ , m: 2.0 σ)
Exclusive mass training	11	50	95000	MDN truncated (1.0 σ)

Training Strategy

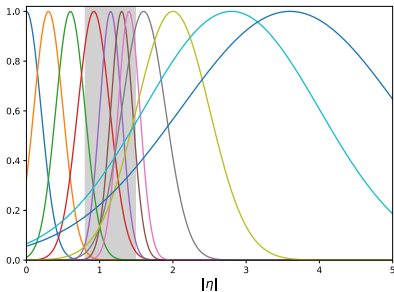
- Multi-stage training process
 - First E & M simultaneous
 - Then only M
- Alternative losses used in some training stages
 - To accommodate for asymmetric response:

Asymmetric MDN:

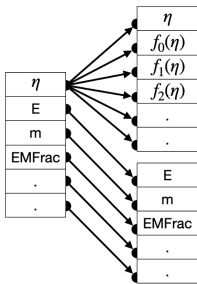
$$P_{\text{MDNA}}(x) = \begin{cases} 1e^{(x-\mu)^2/2\sigma_1} & \text{if } x < \mu \\ 1e^{(x-\mu)^2/2\sigma_2} & \text{if } x \geq \mu \end{cases}$$

Truncated MDN:

$$P_{\text{trunc}}(x) = \begin{cases} 1e^{(x-\mu)^2/2\sigma} & \text{if } |x - \mu| < N\sigma \\ 0 & \text{otherwise} \end{cases}$$



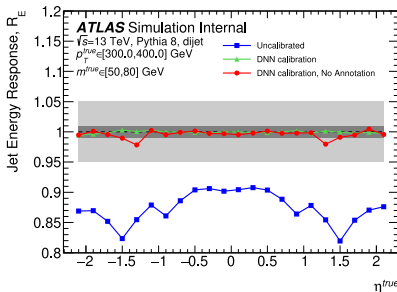
☞ Ref. available soon



☞ Ref. available soon

Complex dependence on η

- With sharp changes from bin-to-bin due to detector geometry/instrumentation
- Difficult for DNN to adapt to this
- Annotation strategy
 - Add 12 features that are functions of η
 - Encoding distance to different η regions
- Clear improvement:



☞ Ref. available soon

W/Z tagger (NN/ANN)

↗ ATL-PHYS-PUB-2021-029

D_2, C_2	Energy correlation ratios
τ_{21}	N -subjettiness
R_2^{FW}	Fox-Wolfram moment
\mathcal{P}	Planar flow
a_3	Angularity
A	Aplanarity
Z_{cut}	Z -Splitting scales
$\sqrt{d_{12}}$	d -Splitting scales
$Kt\Delta R$	k_t -subjettiness ΔR
n_{trk}	number of tracks

Top tagger (DNN)

↗ ATL-PHYS-PUB-2021-028

$\tau_1, \tau_2, \tau_3, \tau_4$	N -subjettiness
$\sqrt{d_{12}}, \sqrt{d_{23}}$	Splitting scales
ECF_1, ECF_2, ECF_3	Energy correlation (EC) functions
C_2, D_2	EC ratios
L_2, L_3	Generalised EC ratios
Q_W	Invariant mass / virtuality
T_M	Thrust major

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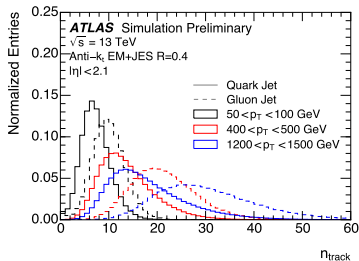
n_{trk} : number of tracks

- With $p_{\text{T}} > 500$ MeV
 - Ghost-associated to jet
- Powerful q/g discriminant

Ghost-associated jet area

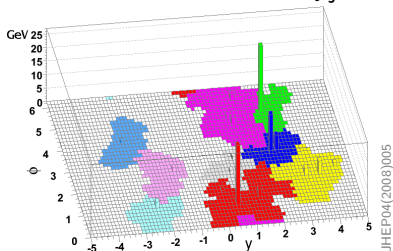
- Add dense coverage of 'infinitely' soft 'ghost' constituents
- Count how many are clustered within the jet

n_{trk} as q/g discriminant



ATL-PHYS-PUB-2017-009

Ghost associated areas of k_{t} jets



JHEP04(2008)005

