

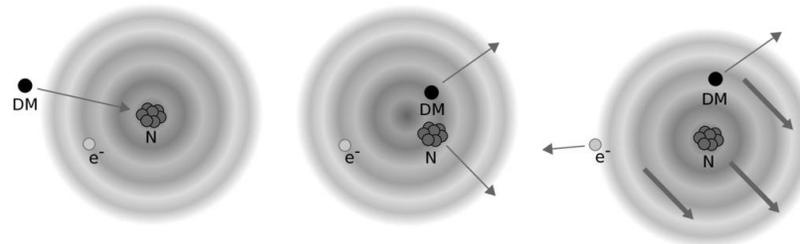
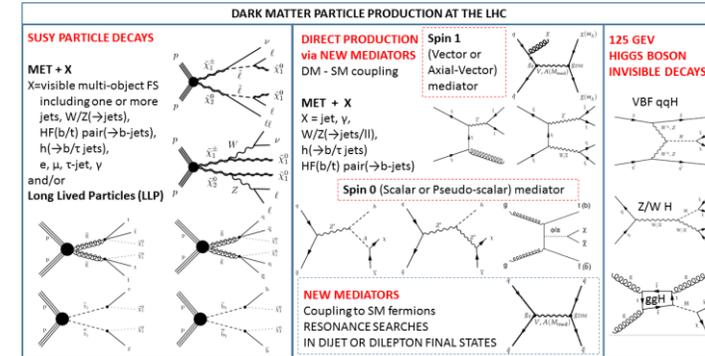
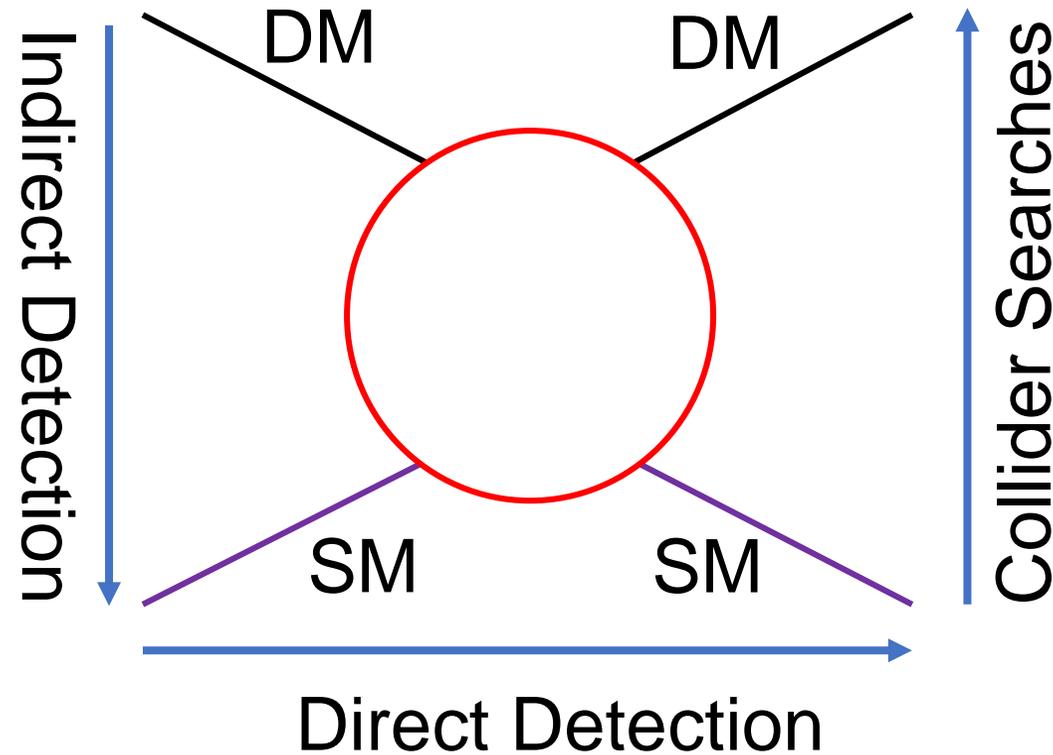
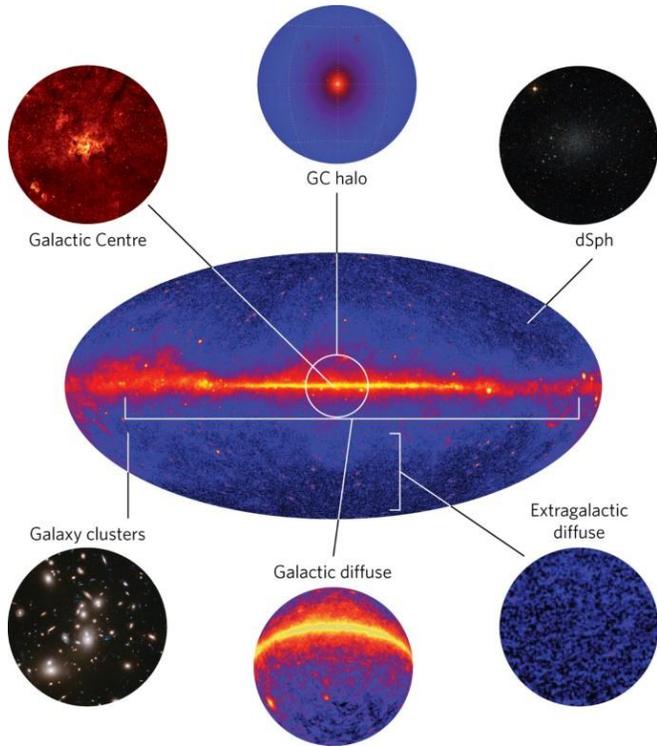
Neutron Star Heating by Inelastic DM

Aniket Joglekar

CHEP Frontiers in Particle Physics

10 August 2024

Probing the Nature of Dark Matter



Direct Detection of Dark Matter

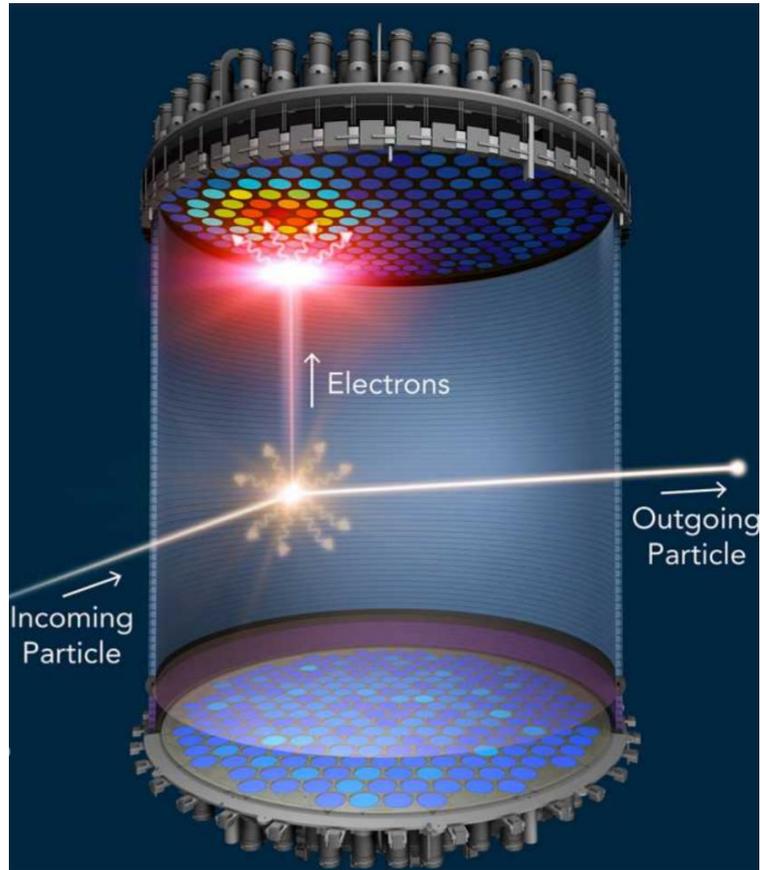


Image: Lux-LZ

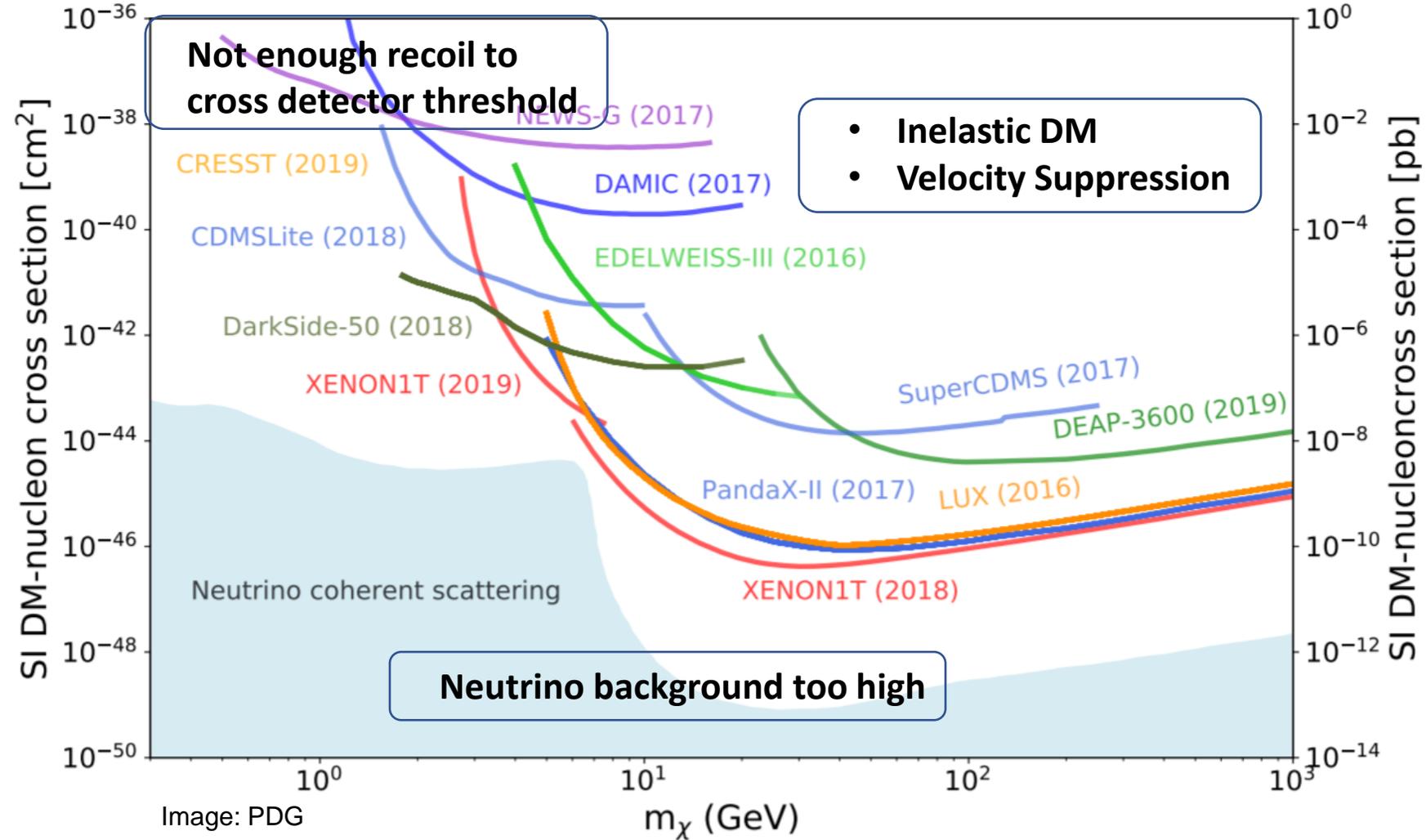


Image: PDG

Challenges

Other problems :

DM is “slow” when it reaches earth : Velocity suppression

Detector can only be so large

Inelastic DM

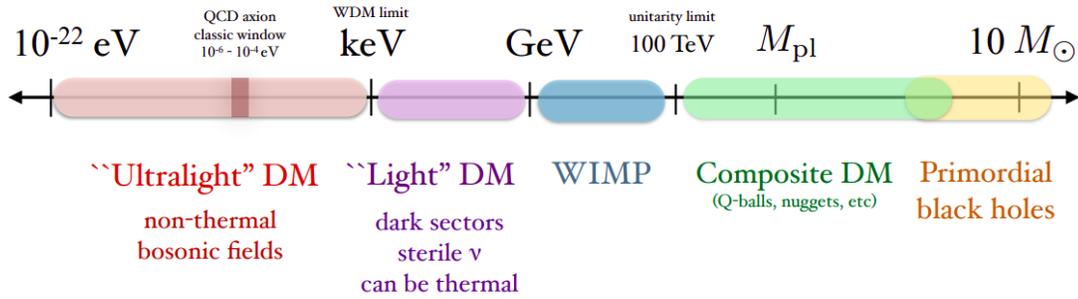
Leptophilic DM

Not enough recoil to cross detector threshold

Neutrino background too high

DM flux inversely proportional to DM mass

Dark Matter in Heavy Compact Objects



Huge range of masses for candidates

Image : <https://arxiv.org/abs/1904.07915> TASI Lecture by Tongyan Lin

Neutron star Kinetic Heating

e.g. Baryakhtar, Bramant, Li, Linden, Raj *Phys.Rev.Lett* 119 (2017)13, 131801

Radio Signals from Neutron Star Magnetosphere

e.g. Hook, Kahn, Safdi, Sun *Phys.Rev.Lett* 121 (2018), 24, 241102

BH Super-radiance

e.g. Baryakhtar, Lasenby, Teo *Phys.Rev.D* 96 (2017) 3, 035019

Heating of exoplanets and brown dwarfs

e.g. Leane, Smirnov *Phys.Rev.Lett.* 126 (2021)

Existence of old neutron stars

e.g. Kouvaris, *Phys.Rev.Lett.* 108 (2012) 191301

Many more....

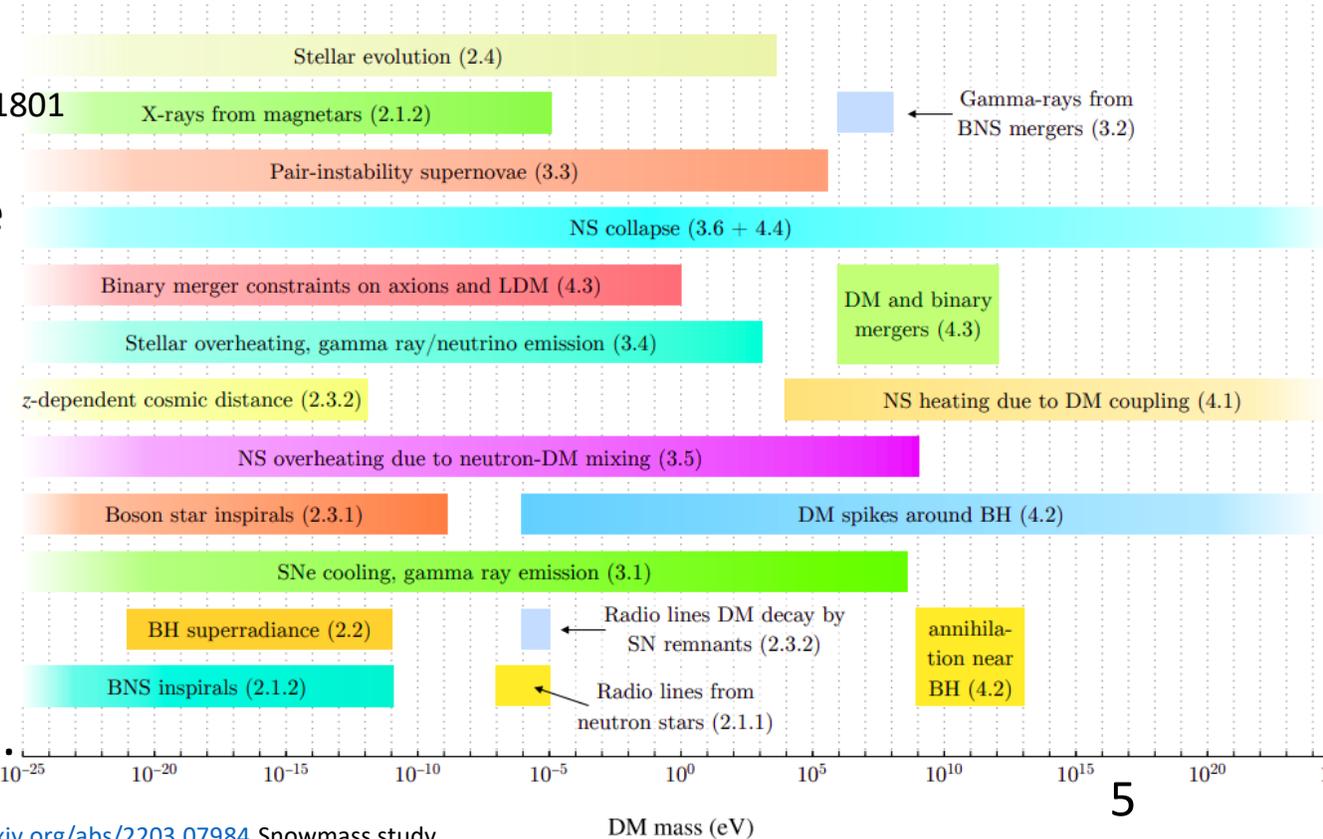


Image : <https://arxiv.org/abs/2203.07984> Snowmass study

Capture in Neutron Stars

Continuous dark matter flux incident on the NS

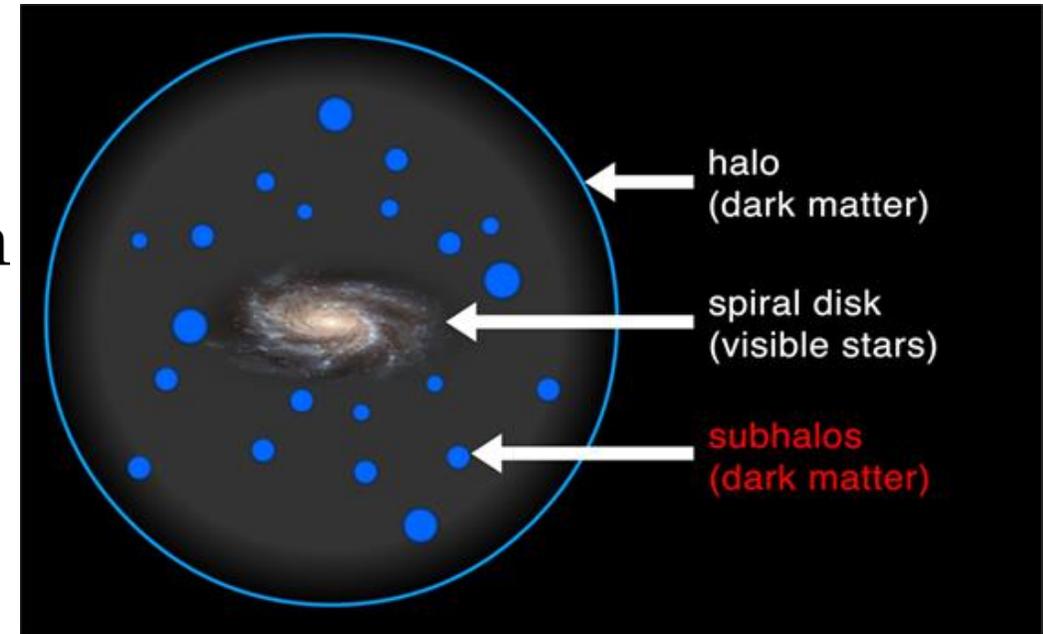
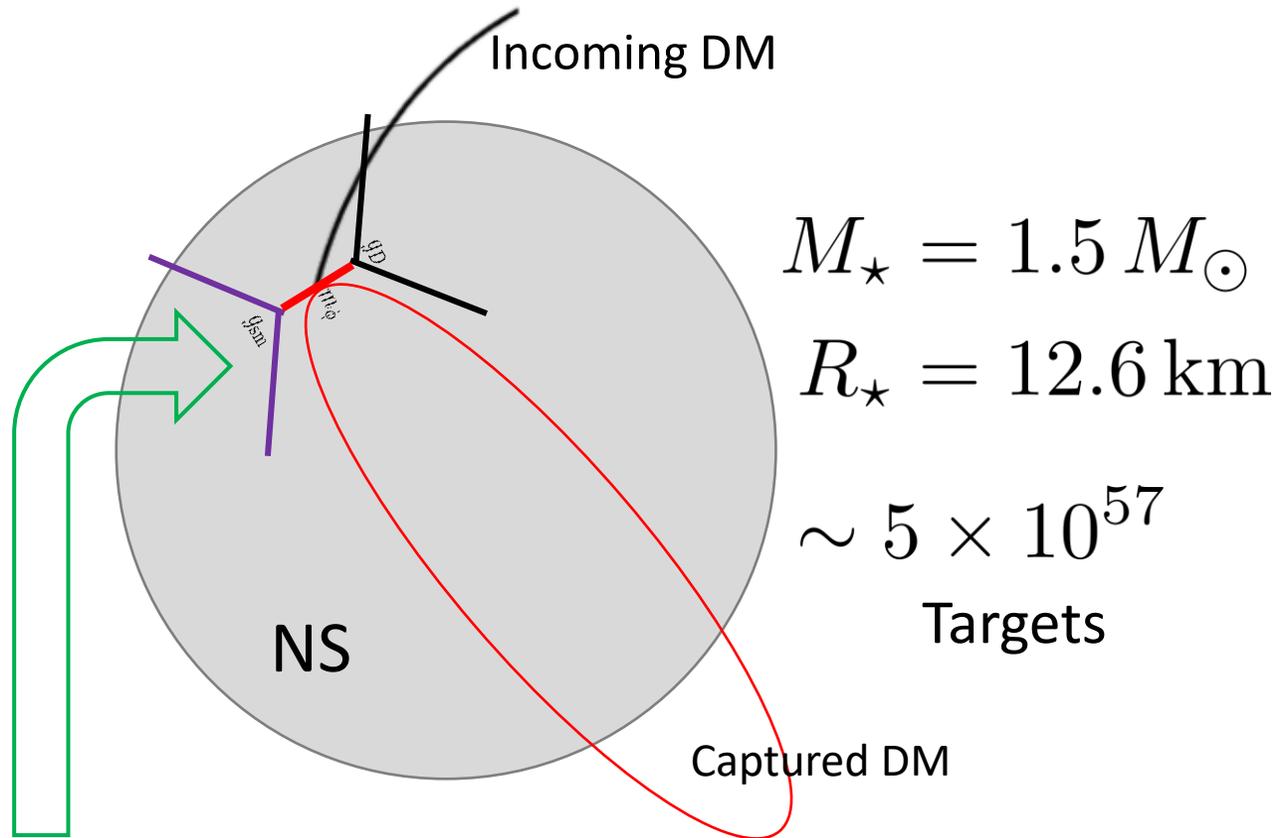


Image credit : <https://astrobit.es.org/>

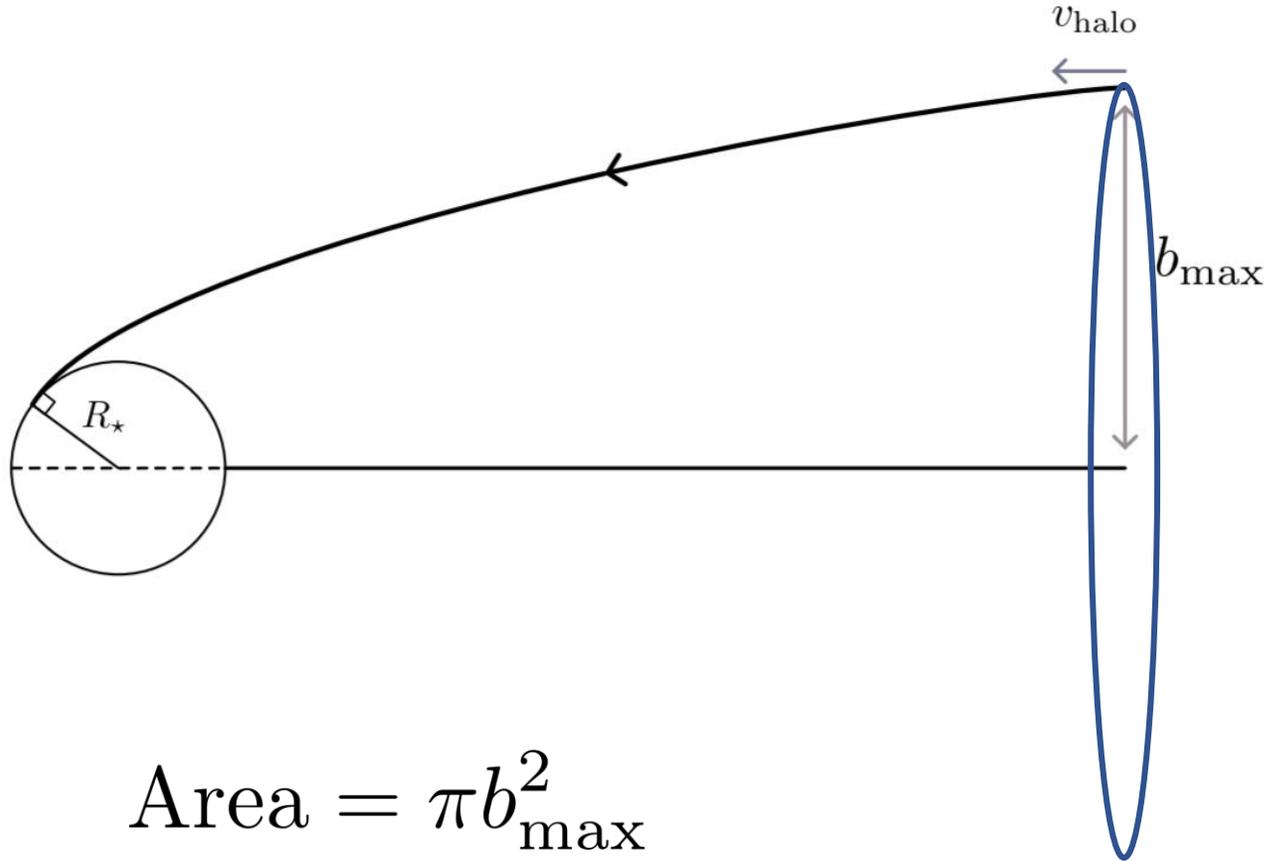
Interaction where DM loses more energy than its Halo KE

Densely Packed

Accelerates DM to $v \sim 0.6 c$

Flux

Continuous dark matter flux incident on the NS



$$\text{Area} = \pi b_{\max}^2$$

Being fed to NS with velocity v_{halo}

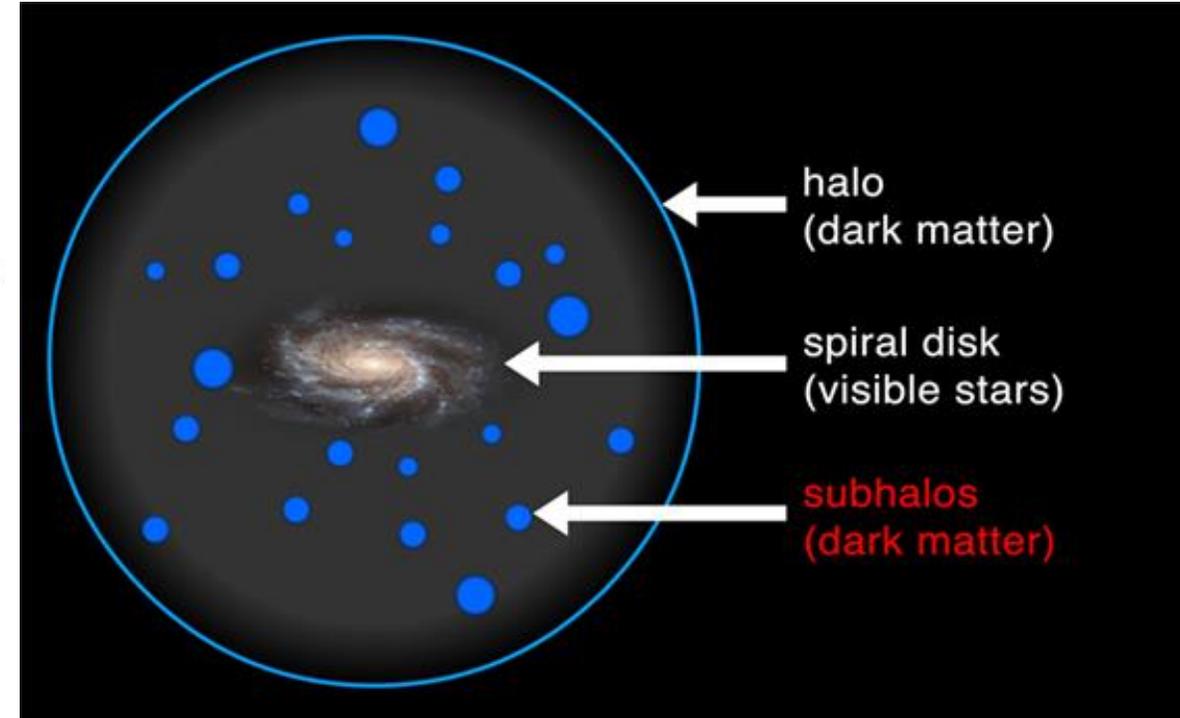


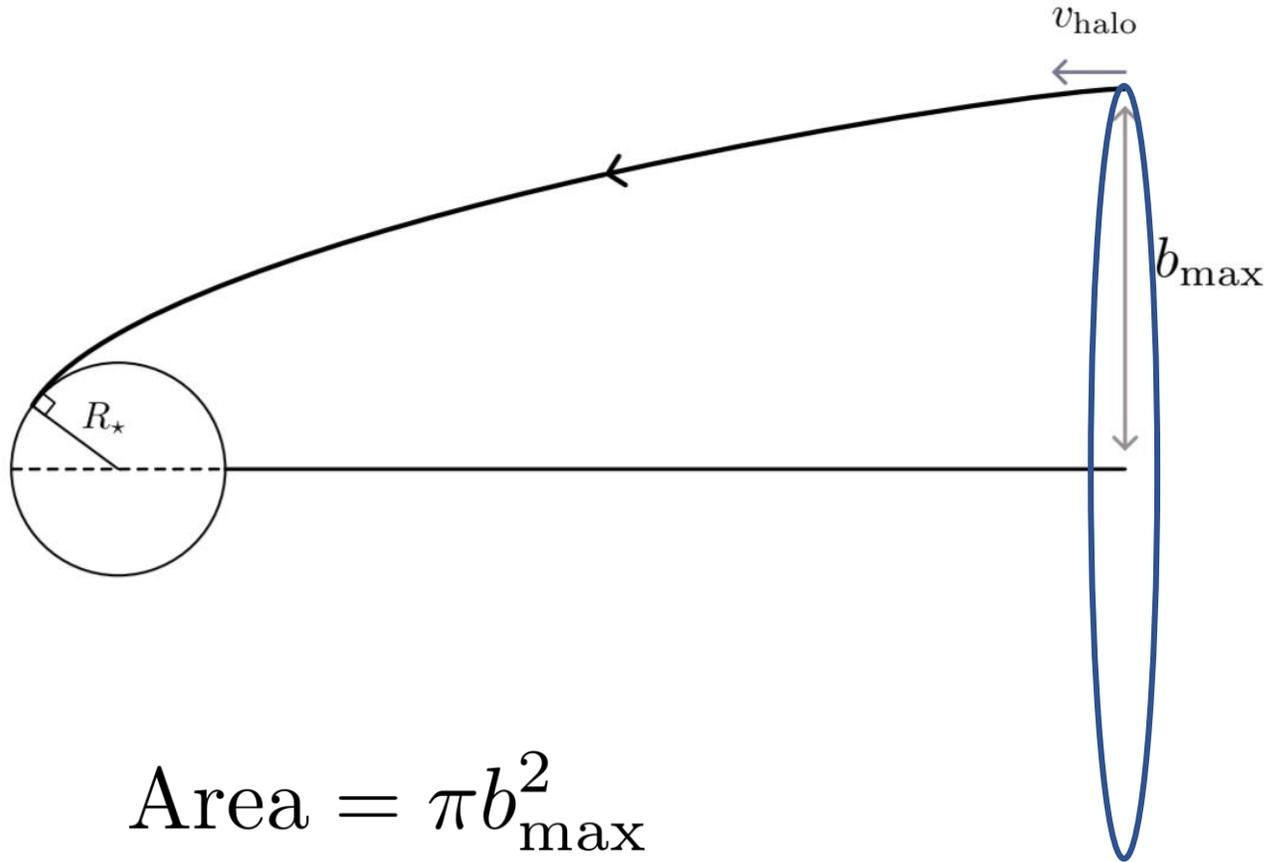
Image credit : <https://astrobites.org/>

$$v_{\text{halo}} = 8 \times 10^{-4}, \rho_{\chi} = 0.3 \text{ GeV/cc}$$

$$M_{\star} = 1.5 M_{\odot}, R_{\star} = 12.6 \text{ km}$$

Flux

Continuous dark matter flux incident on the NS



We take:

$$v_{\text{halo}} = 8 \times 10^{-4}, \quad \rho_{\chi} = 0.3 \text{ GeV/cc}$$

$$M_{\star} = 1.5 M_{\odot}, \quad R_{\star} = 12.6 \text{ km}$$

This means :

$$b_{\text{max}} = \frac{R_{\star}}{v_{\text{halo}}} \sqrt{\frac{2GM}{R}} \left(1 - \frac{2GM}{R}\right)^{-1/2}$$

$$\frac{2GM_{\star}}{R_{\star}} \sim 0.35 \quad b_{\text{max}} \sim 10^3 R_{\star}$$

$$\text{Area} = \pi b_{\text{max}}^2$$

$$\text{DM Flux is : } \pi b_{\text{max}}^2 \rho_{\chi} v_{\text{halo}}$$

Large compared to R_{\star} !

Capture & Heating in Other Celestial Bodies?



Image credit : Artist's impression of WD CC

Density less by factor 10^8

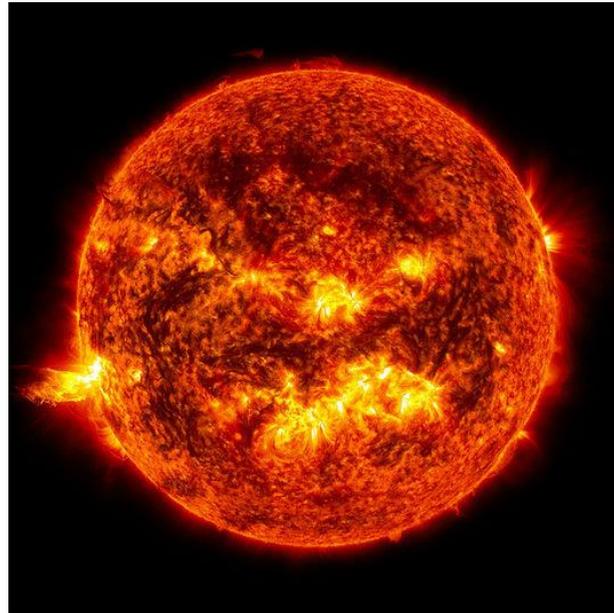


Image : NASA

by factor 10^{14}

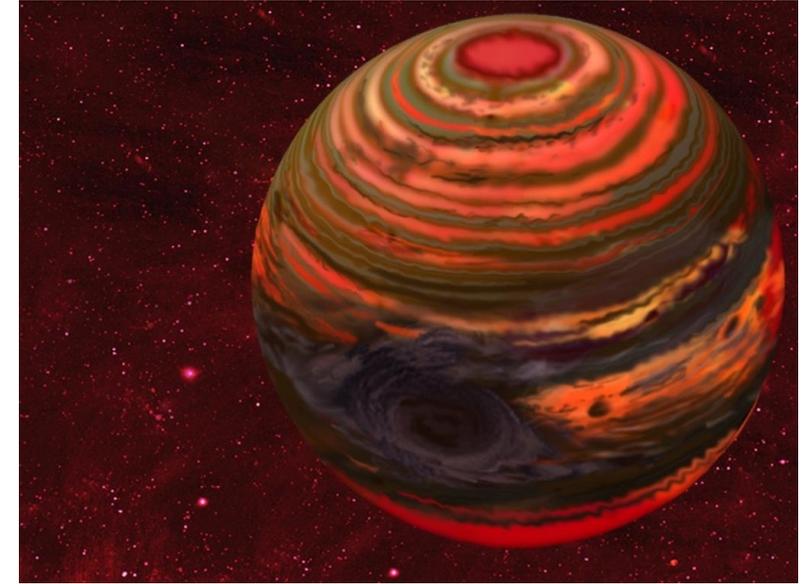


Image : Art by Jon Lomberg

by factor $10^{11} - 10^{13}$

capture \propto density \times flux

Neutron Stars $\sim 10^{-45} \text{ cm}^2$

Other stuff $\sim 10^{-35} \text{ cm}^2$

Generally too hot for anomalous heating

NS Kinetic Heating

$$\text{Flux} = \pi b_{\text{max}}^2 v_{\text{halo}} \rho \sim \frac{4 \times 10^{25}}{m_{\chi} (\text{GeV})} \text{ s}^{-1}$$

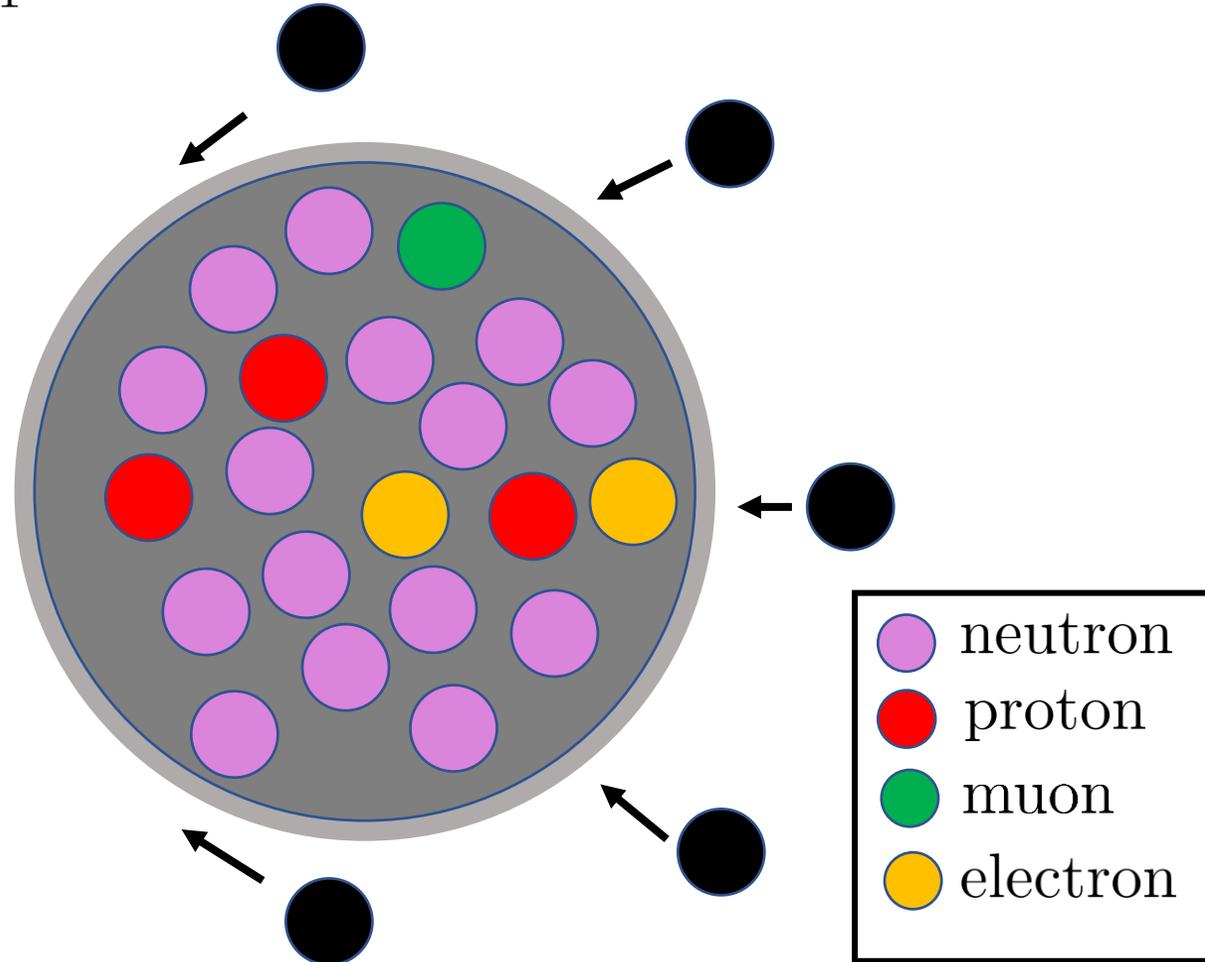
$$\text{KE} = (\gamma - 1)m_{\chi}$$

$$\begin{aligned} \dot{E} &= f \times \text{flux} \times \text{KE} \\ &= f \times (\gamma_{\text{esc}} - 1) \times 4 \times 10^{25} \text{ s}^{-1} \end{aligned}$$

↓
Capture efficiency

$$\dot{E} = 4\pi R_{\star}^2 \sigma_{\text{SB}} T^4$$

$$T \sim 1600 f^{1/4} \text{ K}$$



NS Kinetic Heating

$$\text{Flux} = \pi b_{\text{max}}^2 v_{\text{halo}} \rho \sim \frac{4 \times 10^{25}}{m_{\chi} (\text{GeV})} \text{ s}^{-1}$$

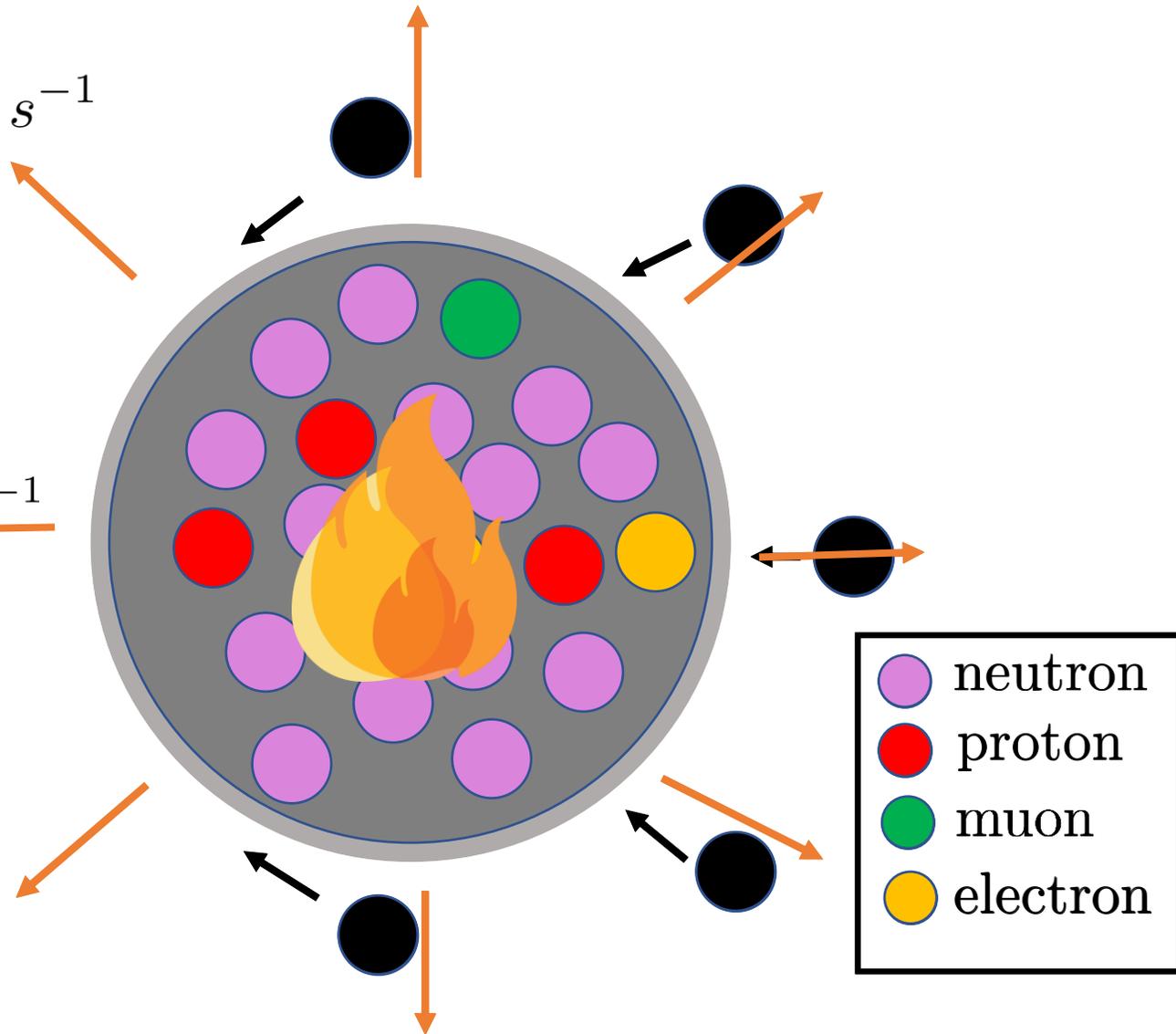
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↓
Capture efficiency

$$\dot{E} = 4\pi R_{\star}^2 \sigma_{\text{SB}} T^4$$

$$T \sim 1600 f^{1/4} \text{ K}$$



How to Detect Excess Heating?

Find an old “nearby” NS with radio telescope
with expected temp $\mathcal{O}(10 - 100)$ K



Credit: Ou Dongqu/Xinhua/ZUMA

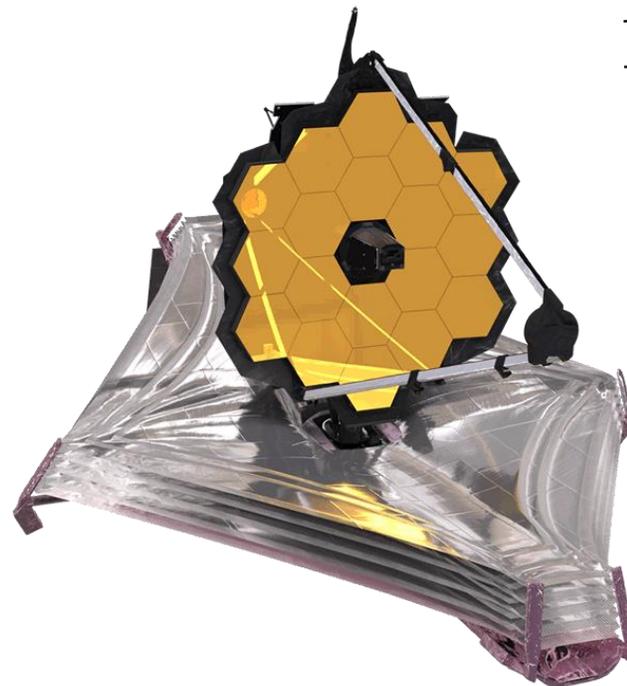
Observe it with JWST

NIRCam on JWST $\sim 0.6\text{-}5 \mu\text{m}$ imager

Good sensitivity around few $\times 10^3$ K

Exposure time for SNR 2 :

$$10^5 \left(\frac{d}{10 \text{ pc}} \right)^4 \text{ s}$$



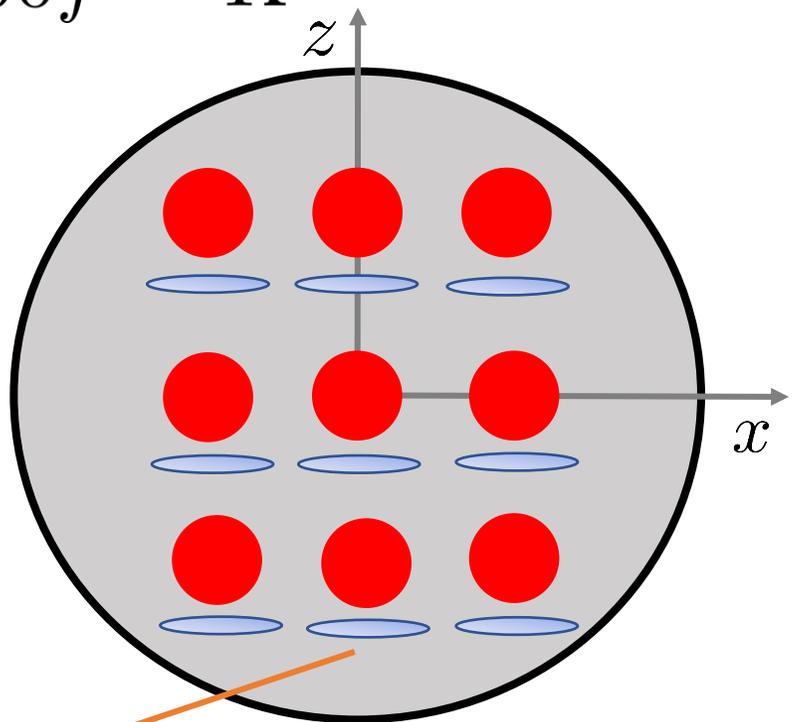
See for details, scope, limitations :

Baryakhtar, Bramant , Li, Linden, Raj
Phys.Rev.Lett 119 (2017)13, 131801

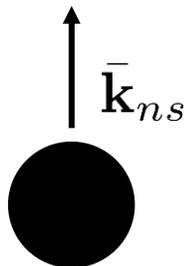
Chatterjee, Garani, Jain, Kanodia, Kumar,
Vempati *Phys.Rev.D* 108 (2023) L021301

Relativistic Capture Efficiency

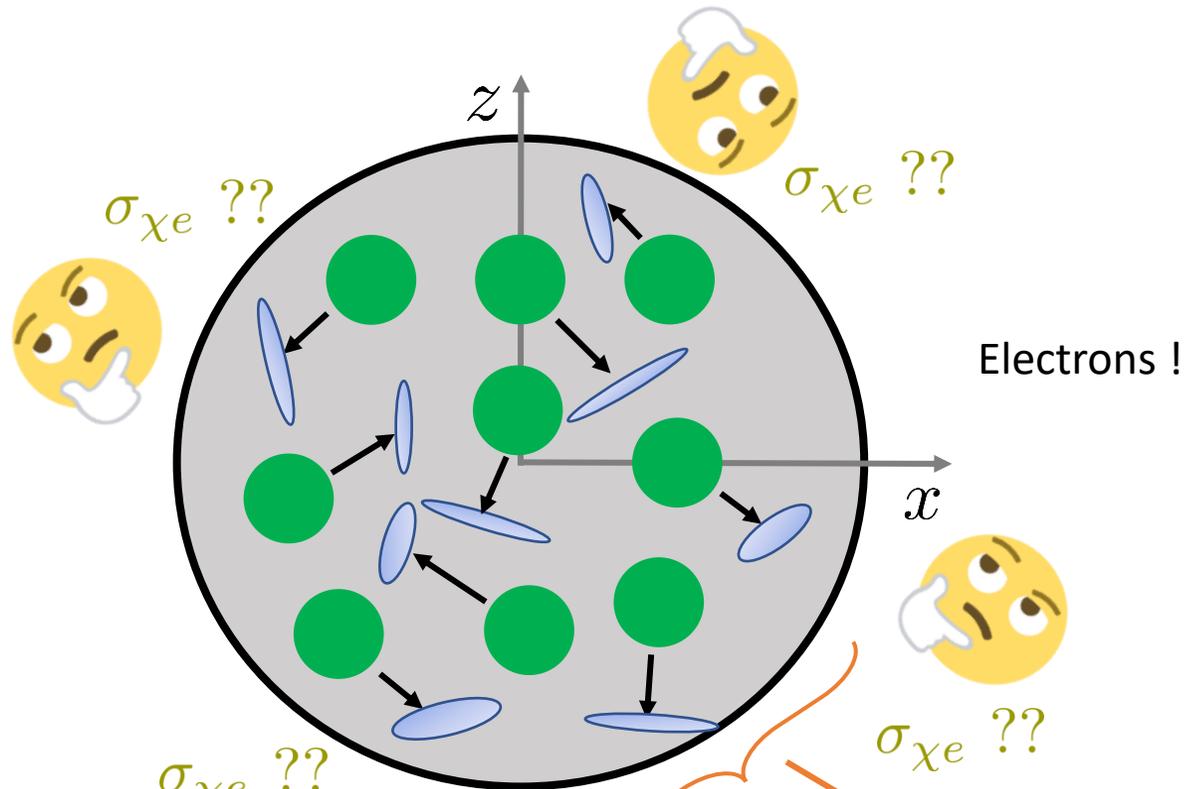
$$T \sim 1600 f^{1/4} \text{ K}$$



$$f = \frac{\sigma_{\chi n}}{\sigma_{\text{geo}}}$$



$\sigma_{\chi n}$



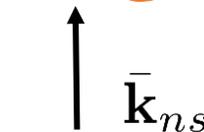
$\sigma_{\chi e} ??$

$\sigma_{\chi e} ??$

Electrons !

$\sigma_{\chi e} ??$

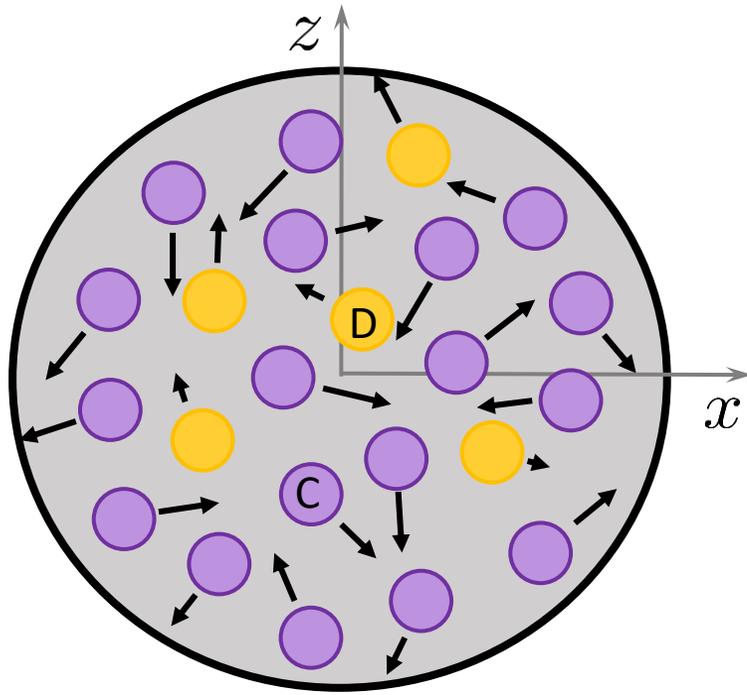
$\sigma_{\chi e} ??$



$$f = \frac{\sigma_{\chi e}}{\sigma_{\text{geo}}} ??$$

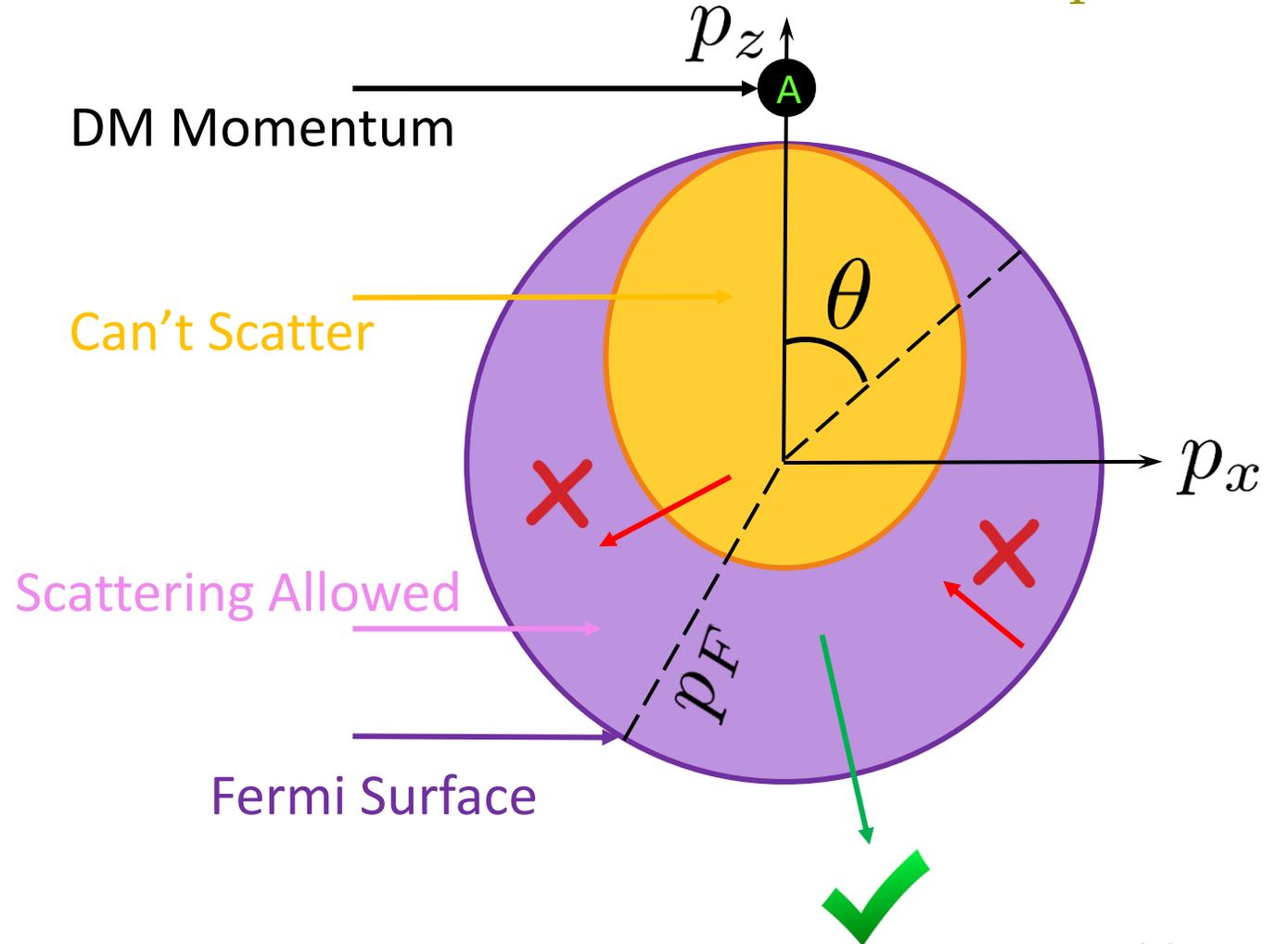
Pauli Blocking

NS Frame: Position Space



↑
● A $(\bar{\mathbf{k}}_A)_{ns}$

NS Frame: Momentum Space



Formalism

$$df = \sum_{N_{\text{hit}}} \frac{1}{N_{\text{hit}}} d\Omega_{\text{CM}} \left(\frac{d\sigma}{d\Omega} \right)_{\text{CM}} (v_{\text{mol}} dn_{\text{T}} \Delta t)_{\text{NS}}$$

$\times \Theta \left(\Delta E - \frac{E_{\text{halo}}}{N_{\text{hit}}} \right) \Theta \left(\frac{E_{\text{halo}}}{N_{\text{hit}} + 1} - \Delta E \right)$ Multi Scatter Condition

$\times \Theta (\Delta E + E_p - E_{\text{F}})$ Pauli Blocking Condition

Formalism

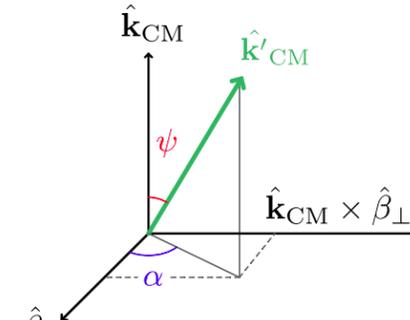
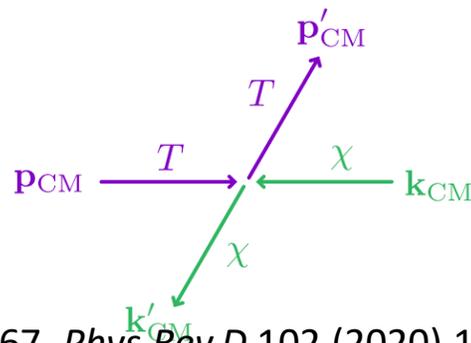
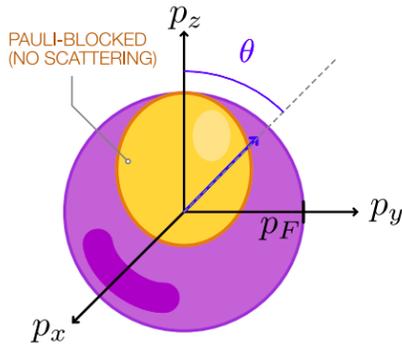
$$f = \sum_{N_{\text{hit}}} \frac{\langle n_{\text{T}} \rangle \Delta t}{N_{\text{hit}}} \int d\Omega_{\text{F}} \int \frac{p^2 dp}{V_{\text{F}}} \int d\Omega_{\text{CM}} \left(\frac{d\sigma}{d\Omega} \right)_{\text{CM}} v_{\text{mol}} \Theta^3(\Delta E)$$

$$\Omega_{\text{F}} = d\phi d(\cos \theta)$$

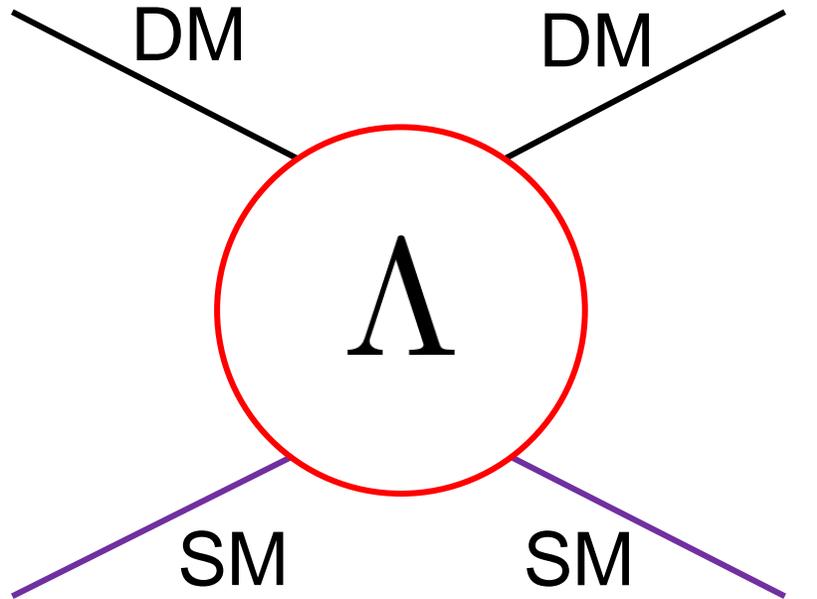
$$dn_{\text{T}} = \langle n_{\text{T}} \rangle \Omega_{\text{F}} \frac{p^2 dp}{V_{\text{F}}}$$

$$V_{\text{F}} = \frac{4}{3} \pi p_{\text{F}}^3$$

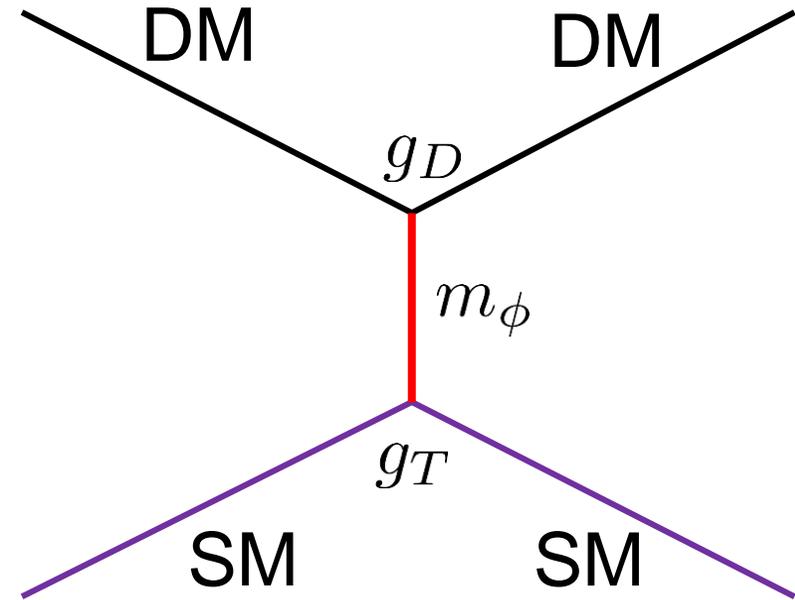
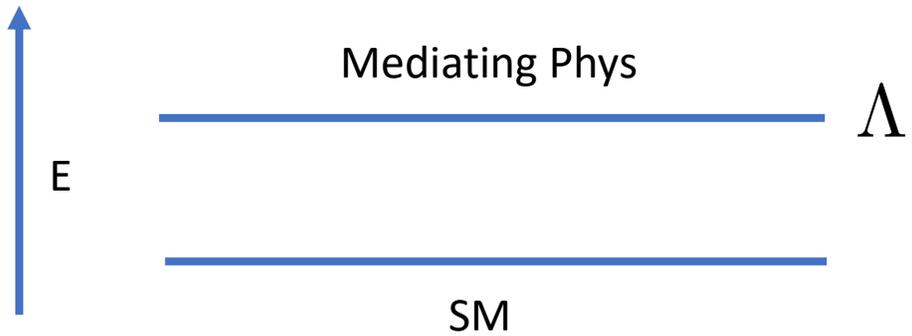
$$d\Omega = d\alpha d(\cos \psi)$$



DM Models



$\Lambda \gg$ momentum transfer



Light mediator

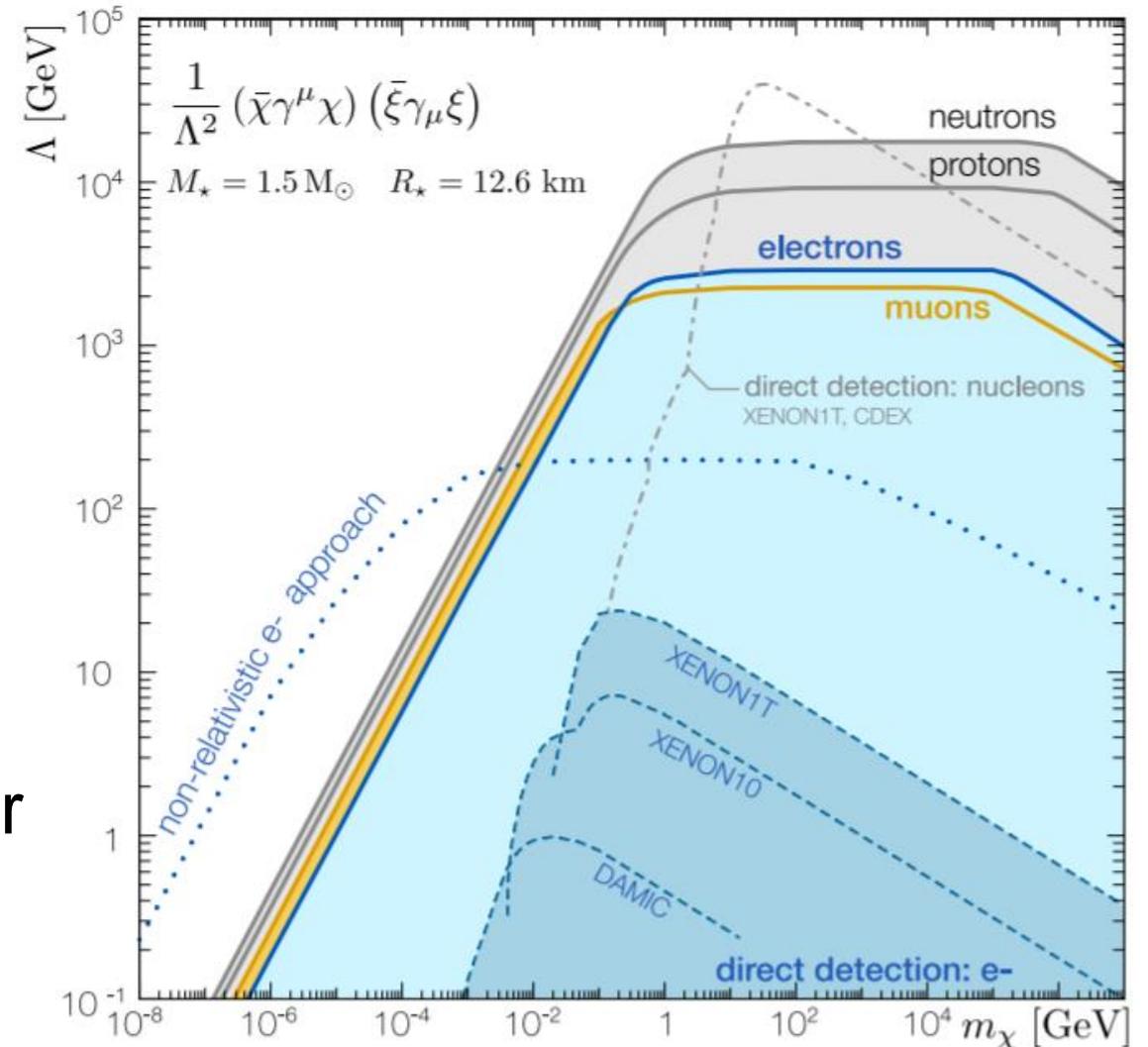
Reach

Recall : $T \sim 1600 f^{1/4} K$

$$f \propto |\mathcal{M}|^2 \propto \frac{1}{\Lambda^4};$$

$$T \propto \Lambda^{-1}$$

Shaded area corresponds to $f \sim 1$ or star temperature of $\sim 1600 K$



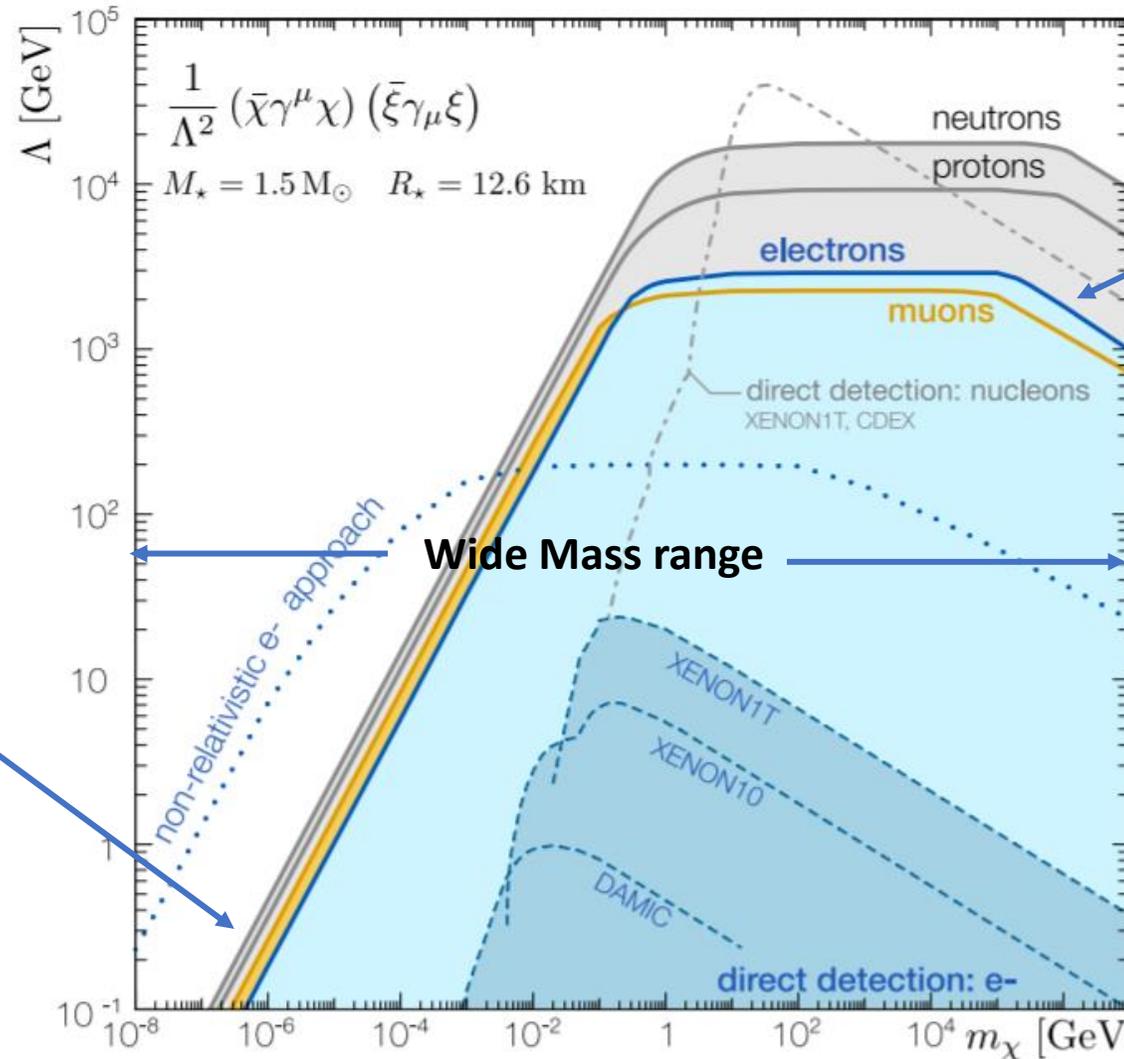
Reach

$$\text{cross sect} \propto \frac{m_\chi^2 E_p^2}{s \Lambda^4}$$

E_p : target energy

$$\text{capture} \propto m_\chi^3$$

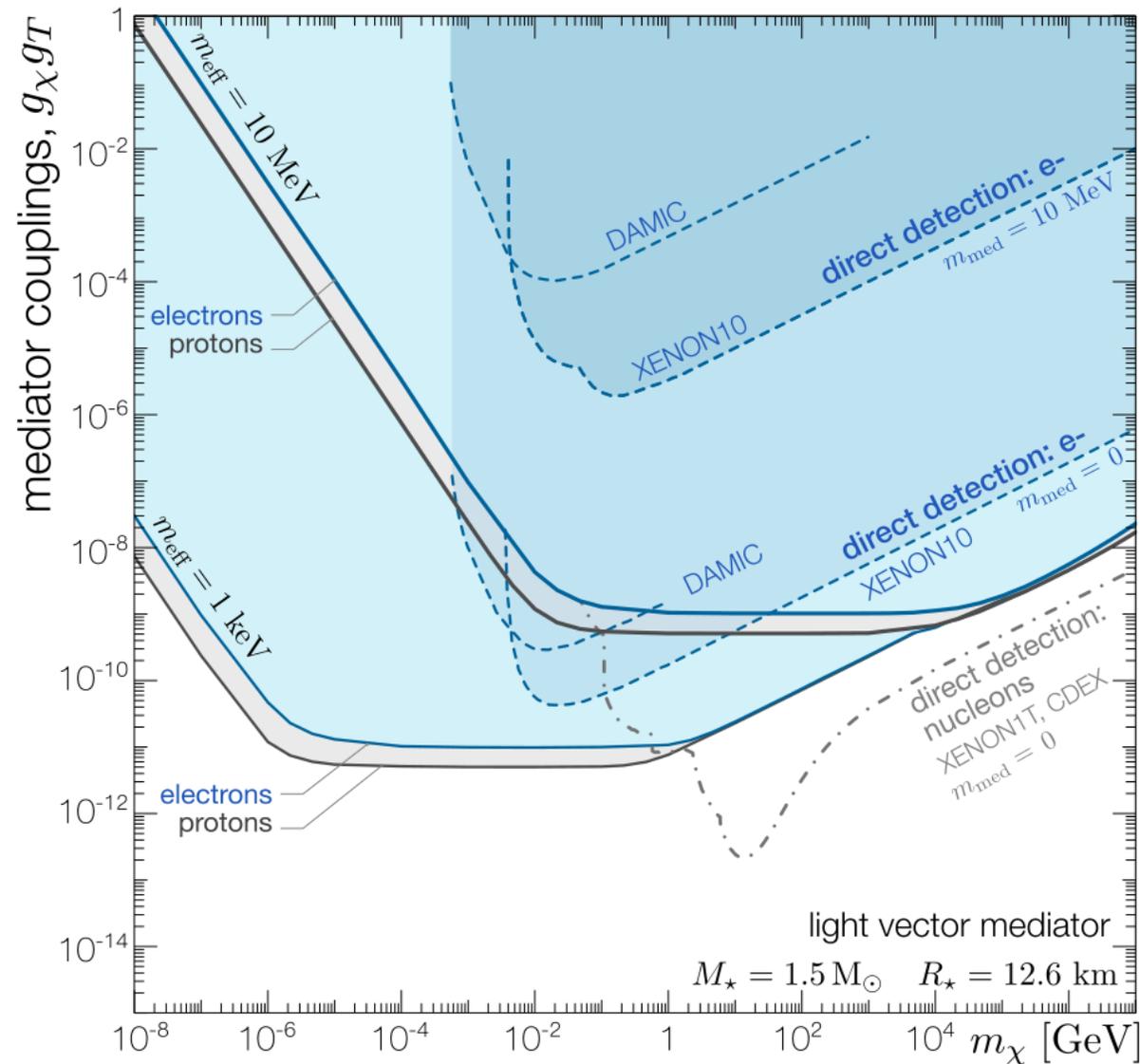
Cross section + Pauli blocking



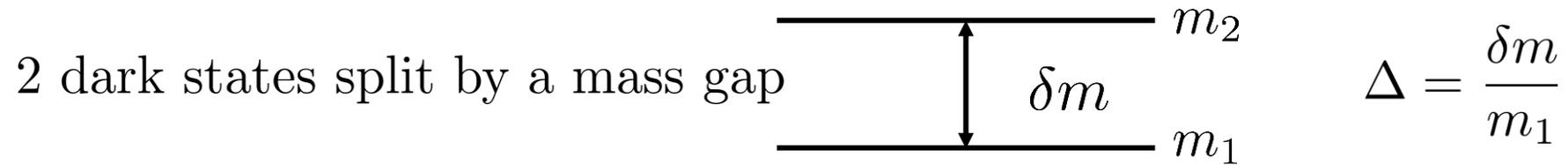
$$\text{capture} \propto \frac{1}{m_\chi}$$

Multiscatter needed to lose enough energy

Reach



Inelastic Dark Matter



Important class of models esp in the context of SIDM for explaining small scale structure problems

Hard to detect for terrestrial detectors above Δ values of 10^{-6}

Velocity suppressed $v \sim 10^{-3}$

High gravity of NS means $v \sim 10^{-1}$

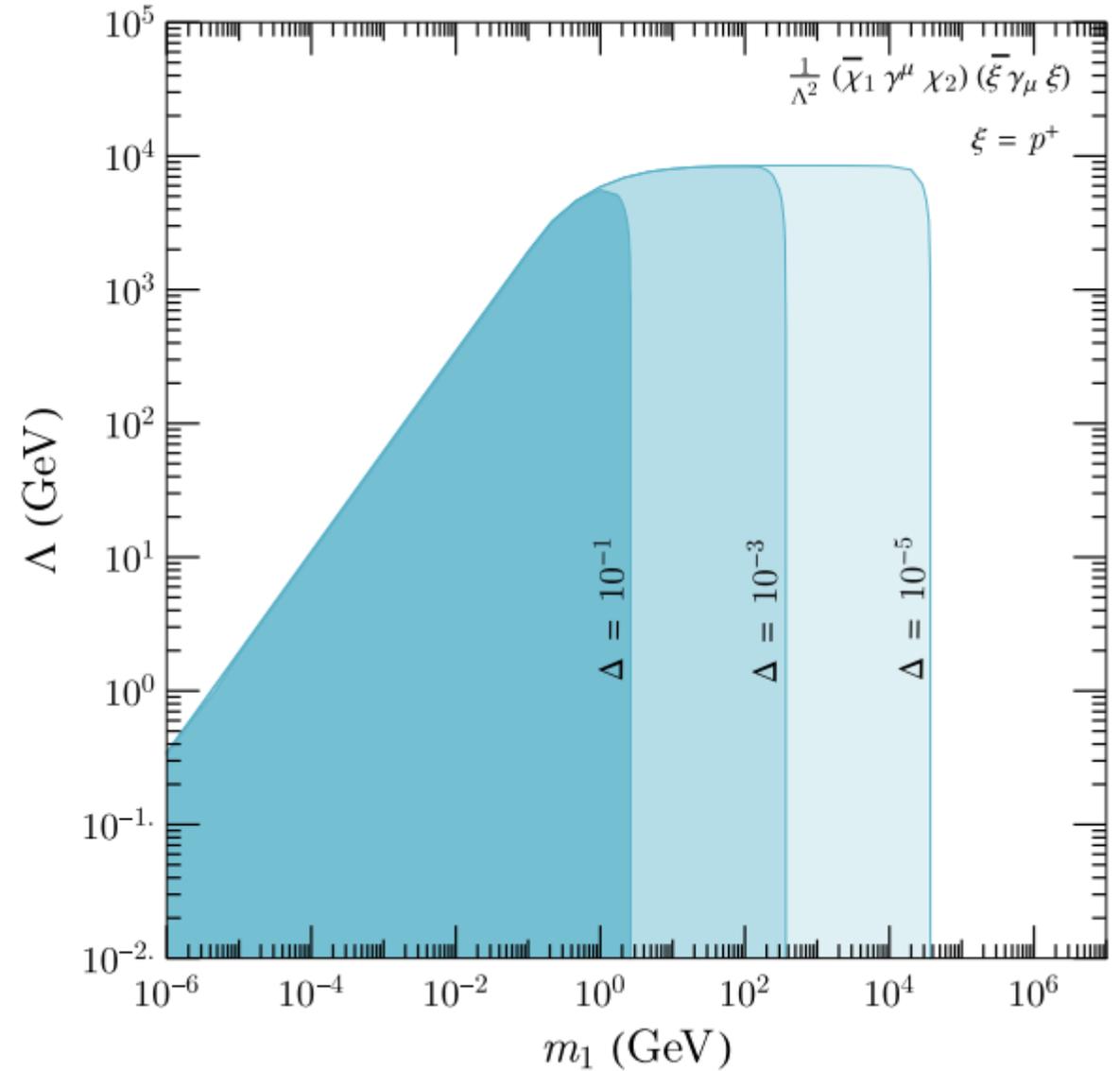
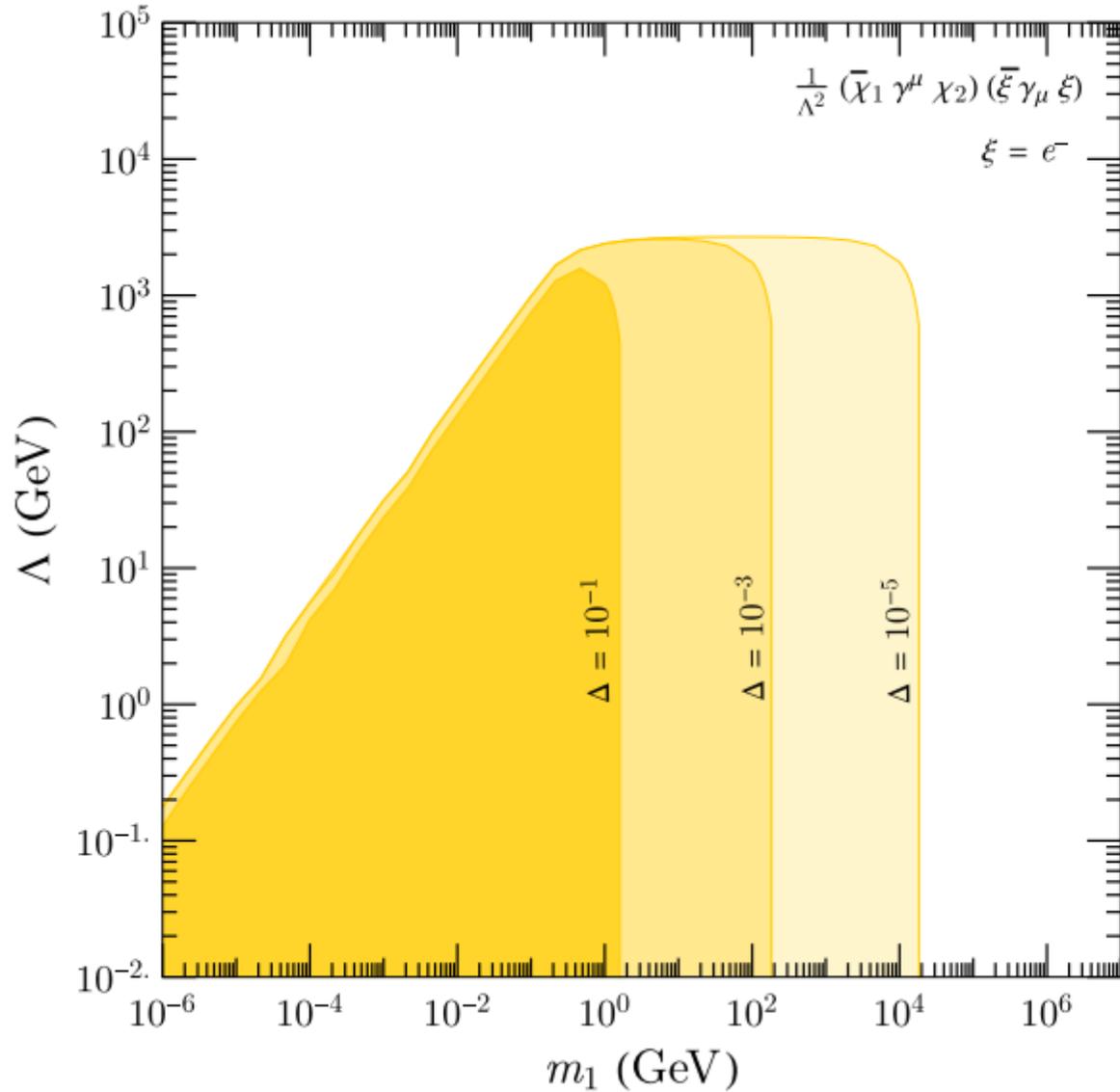
$$\delta m < (\gamma - 1) m_T, (\gamma - 1) m_1$$

For non-relativistic targets

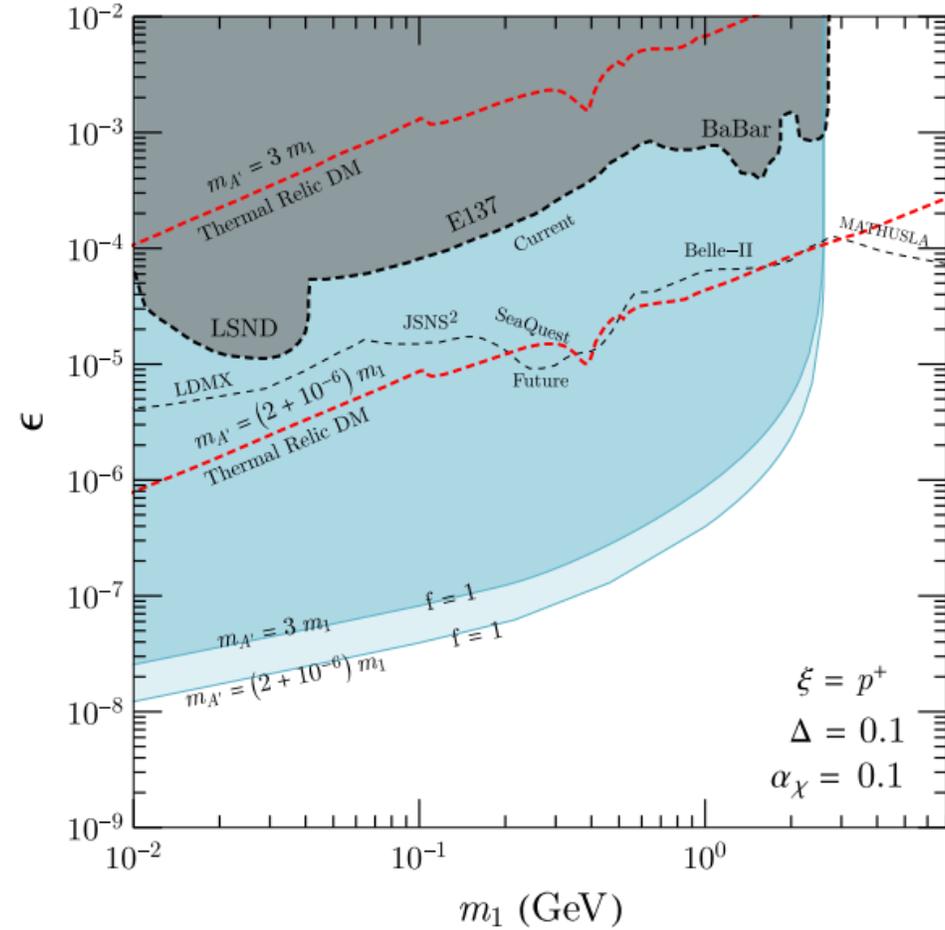
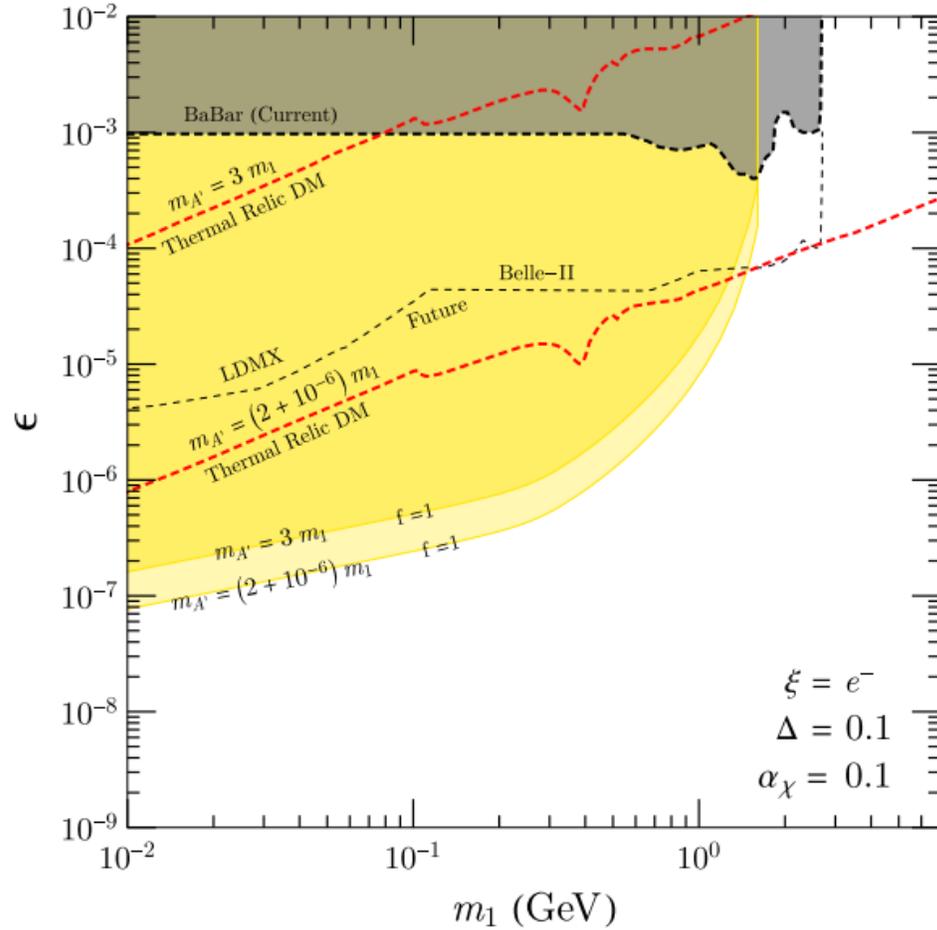
$$\delta m < \gamma \beta p_F, (\gamma^2 - 1) p_F$$

For ultra-relativistic targets

Inelastic Dark Matter



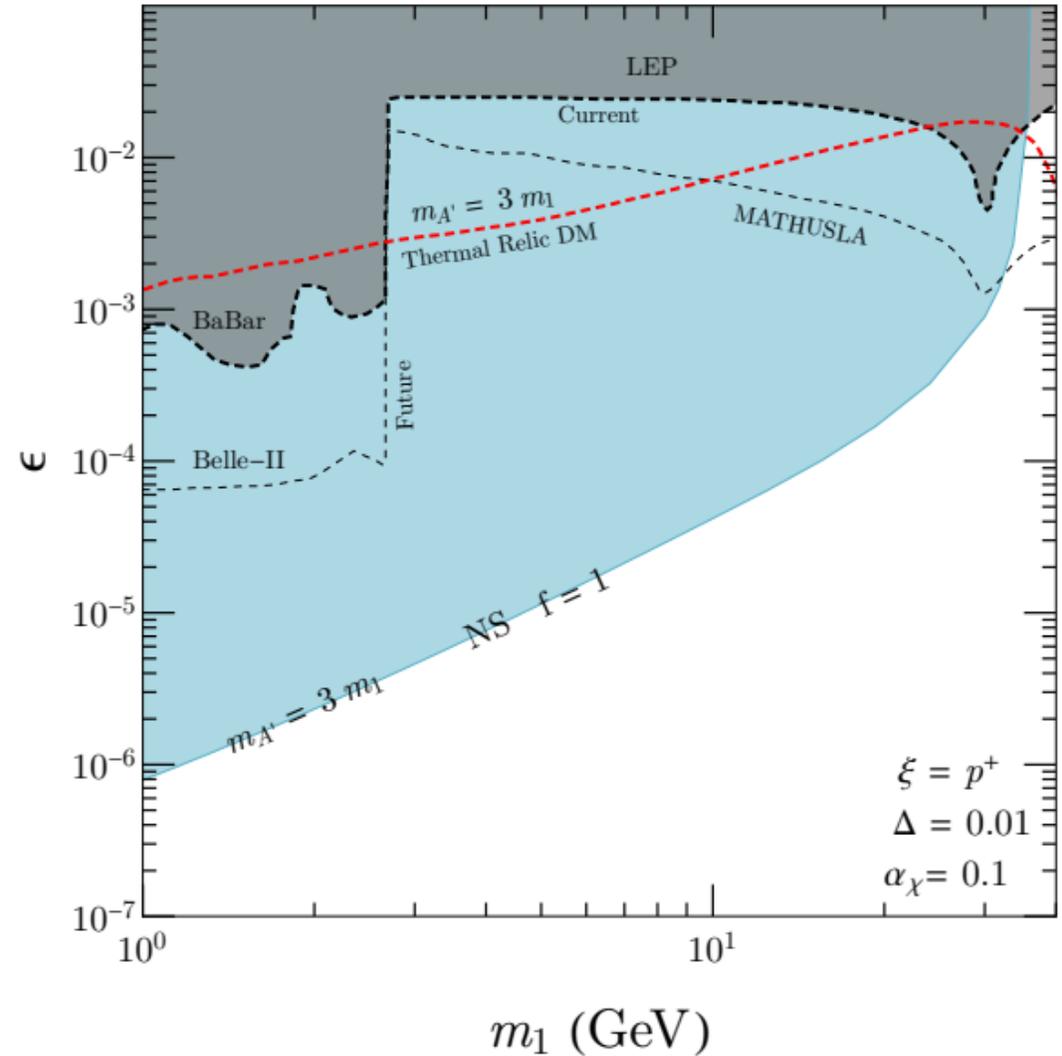
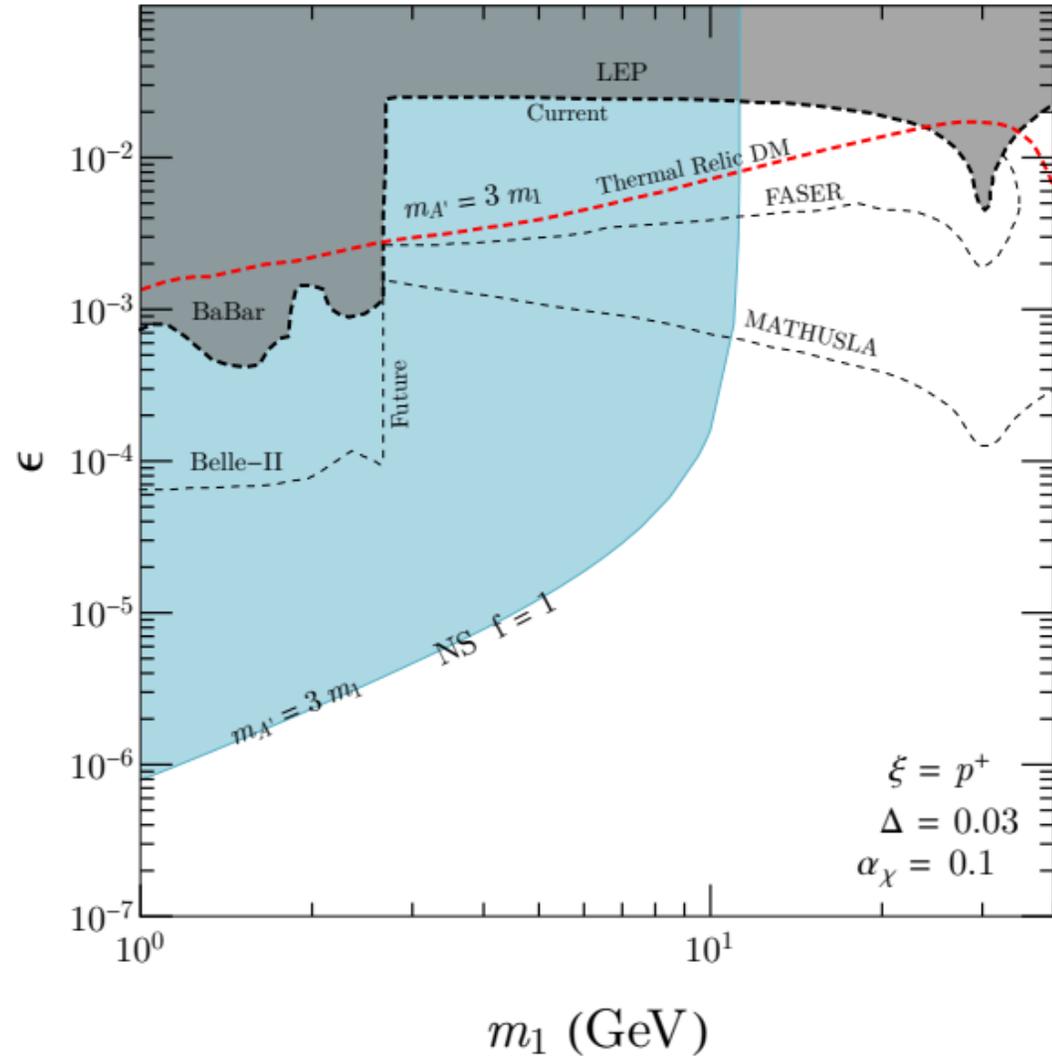
Inelastic Dark Matter : Heavy Dark Photons



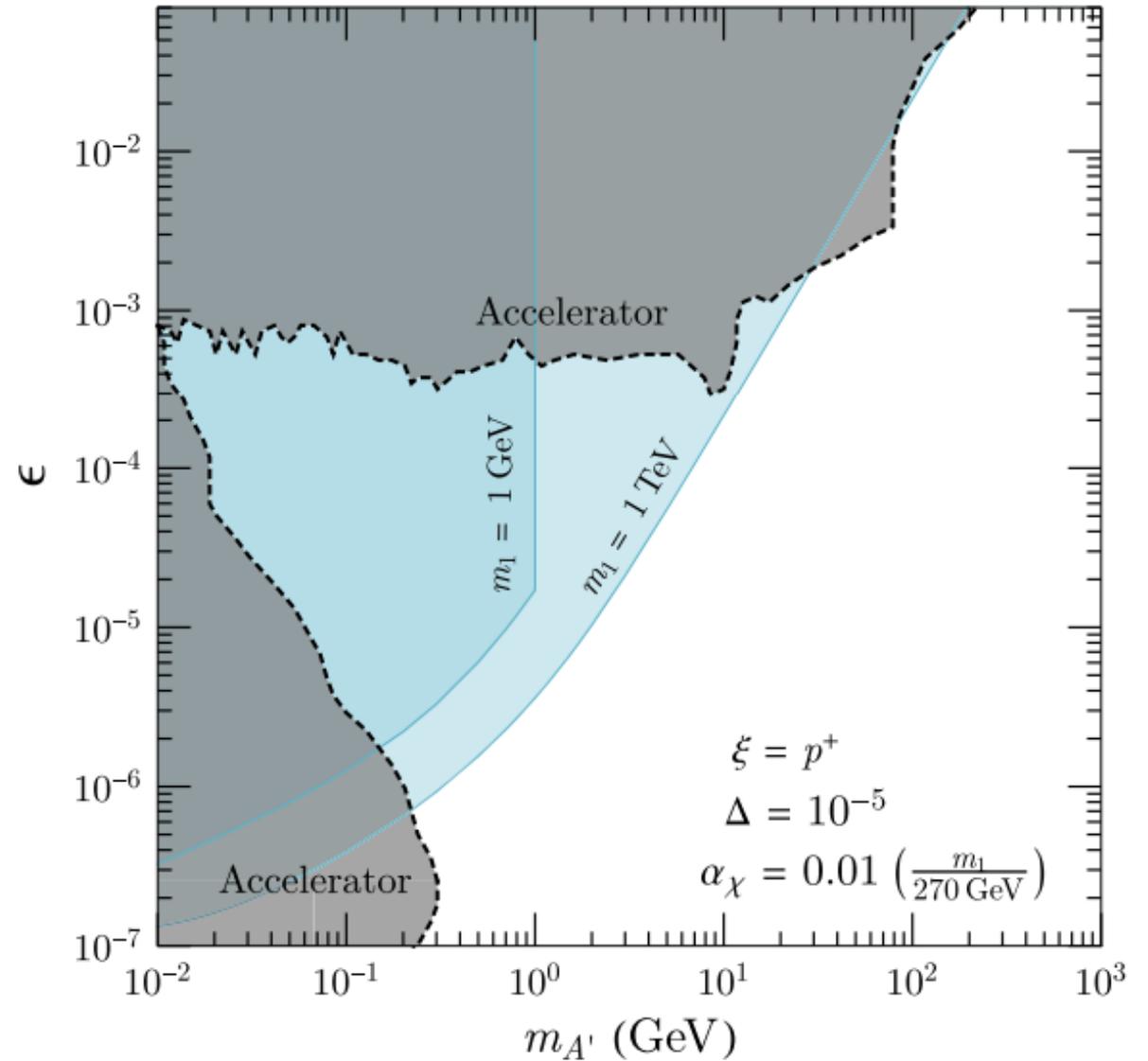
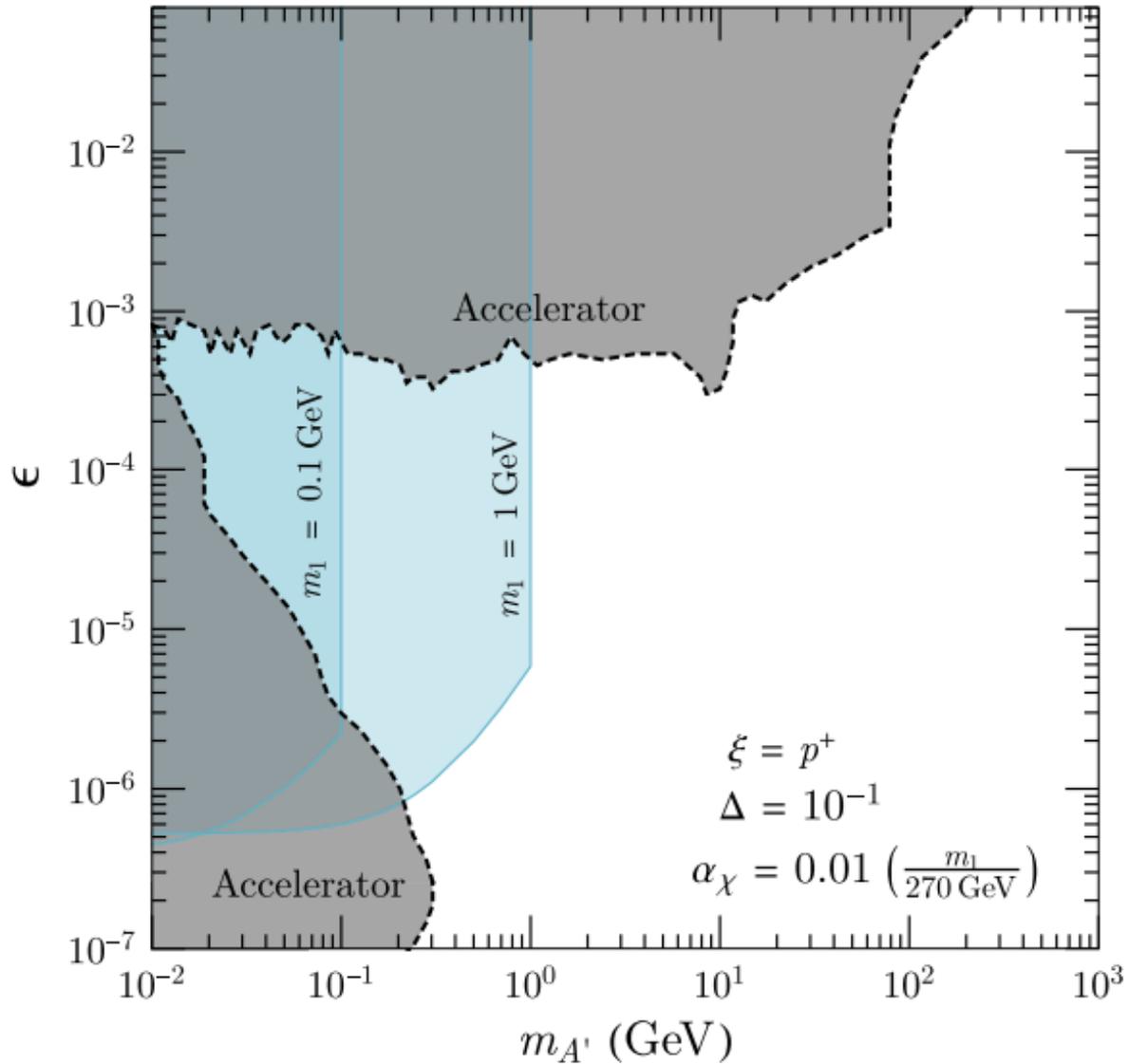
Alvarez, **AJ**, Mehr, Yu Phys. Rev. D 107 (2023) 103024

$$\mathcal{L}_{\text{int}} \supset \frac{1}{2} m_{A'}^2 A'^{\mu} A'_{\mu} - \left(\frac{1}{2} g_{\chi} \bar{\chi}_2 \gamma^{\mu} \chi_1 A'_{\mu} + \text{H.c.} \right) + q \epsilon \bar{\zeta} \gamma^{\mu} \zeta A'_{\mu}$$

Inelastic Dark Matter : Heavy Dark Photons



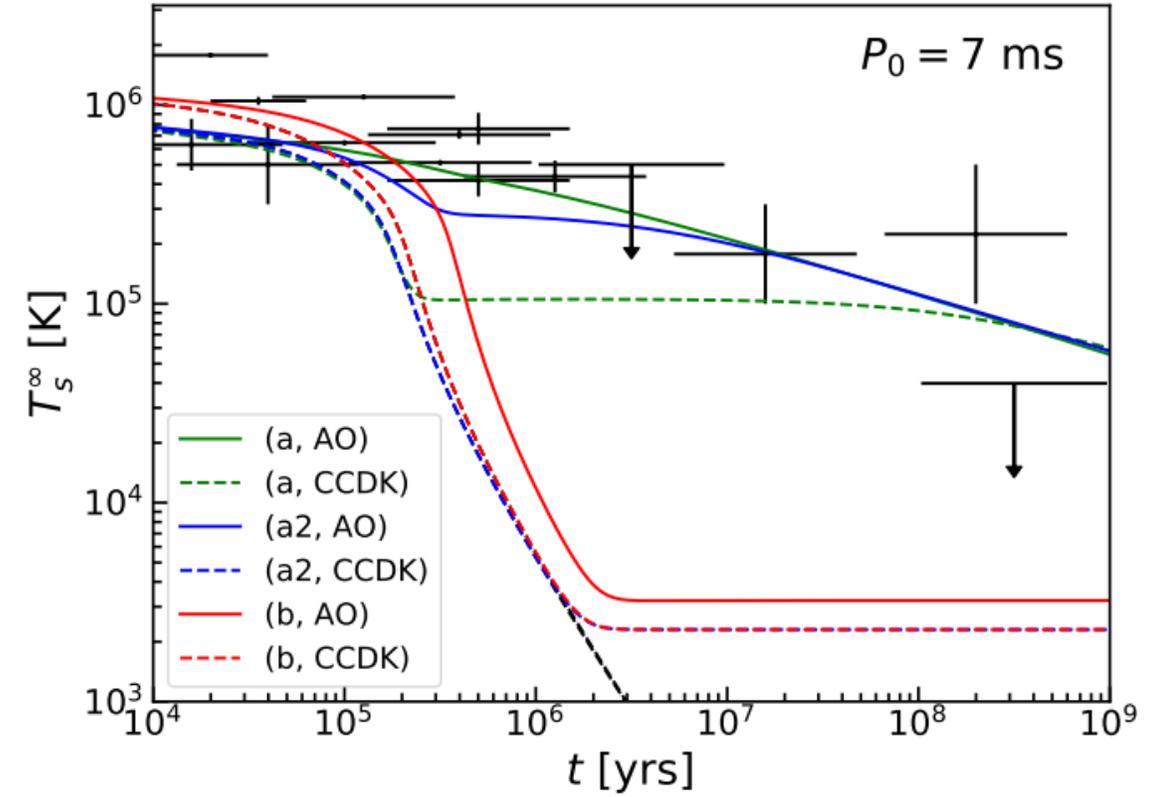
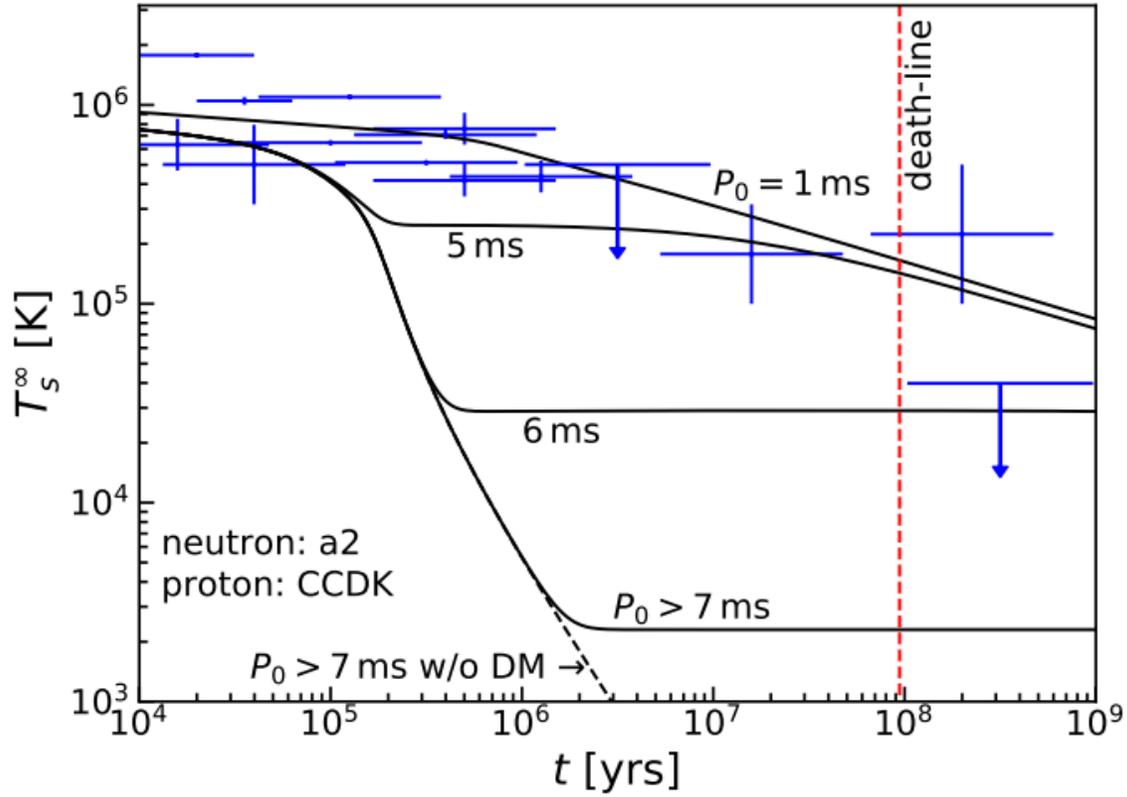
Inelastic Dark Matter : Light Dark Photons

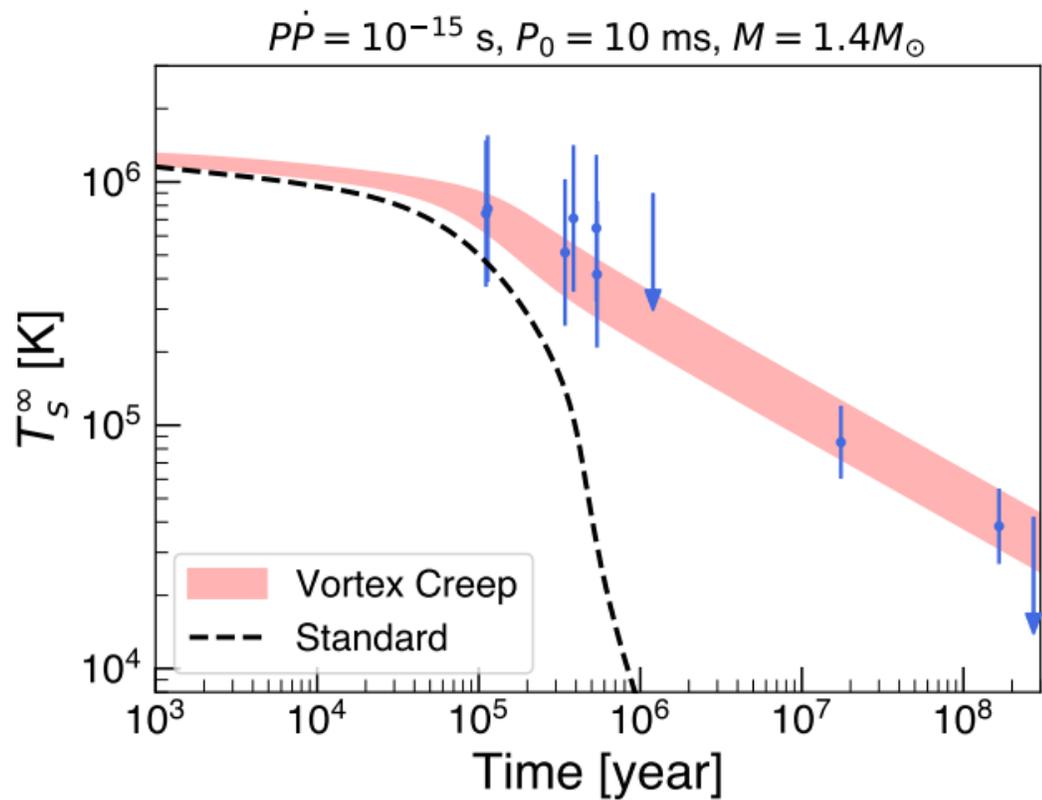


Summary

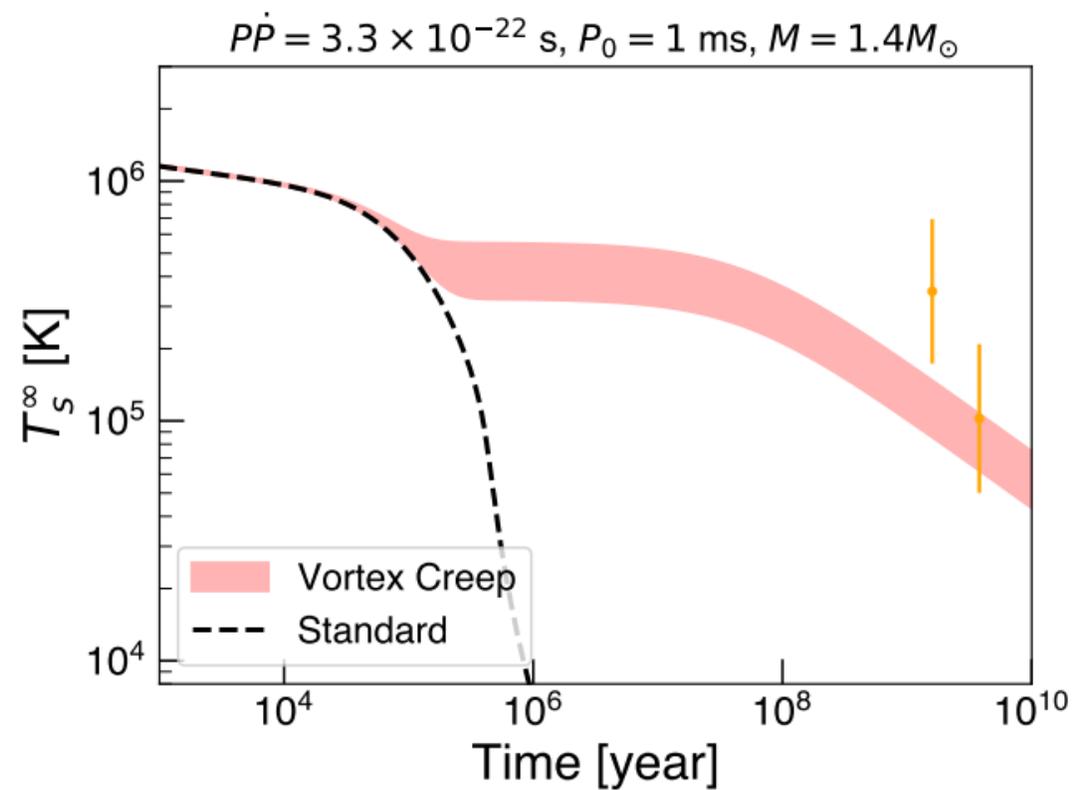
- Neutron stars are great for learning more about the nature of DM
- Can complement or exceed terrestrial searches
- Kinetic heating particularly shines in probing models like inelastic DM
- Particularly stronger compared to beam dump, long lived particle searches for sub-GeV DM

Thank You!





(a) Ordinary pulsars



(b) Millisecond pulsars

Inelastic Dark Matter : Light Dark Photons

