How the friendship between HEP and Cosmology can be made deeper over a cup of ML?

Frontiers of Particle Physics 2024, CHEP

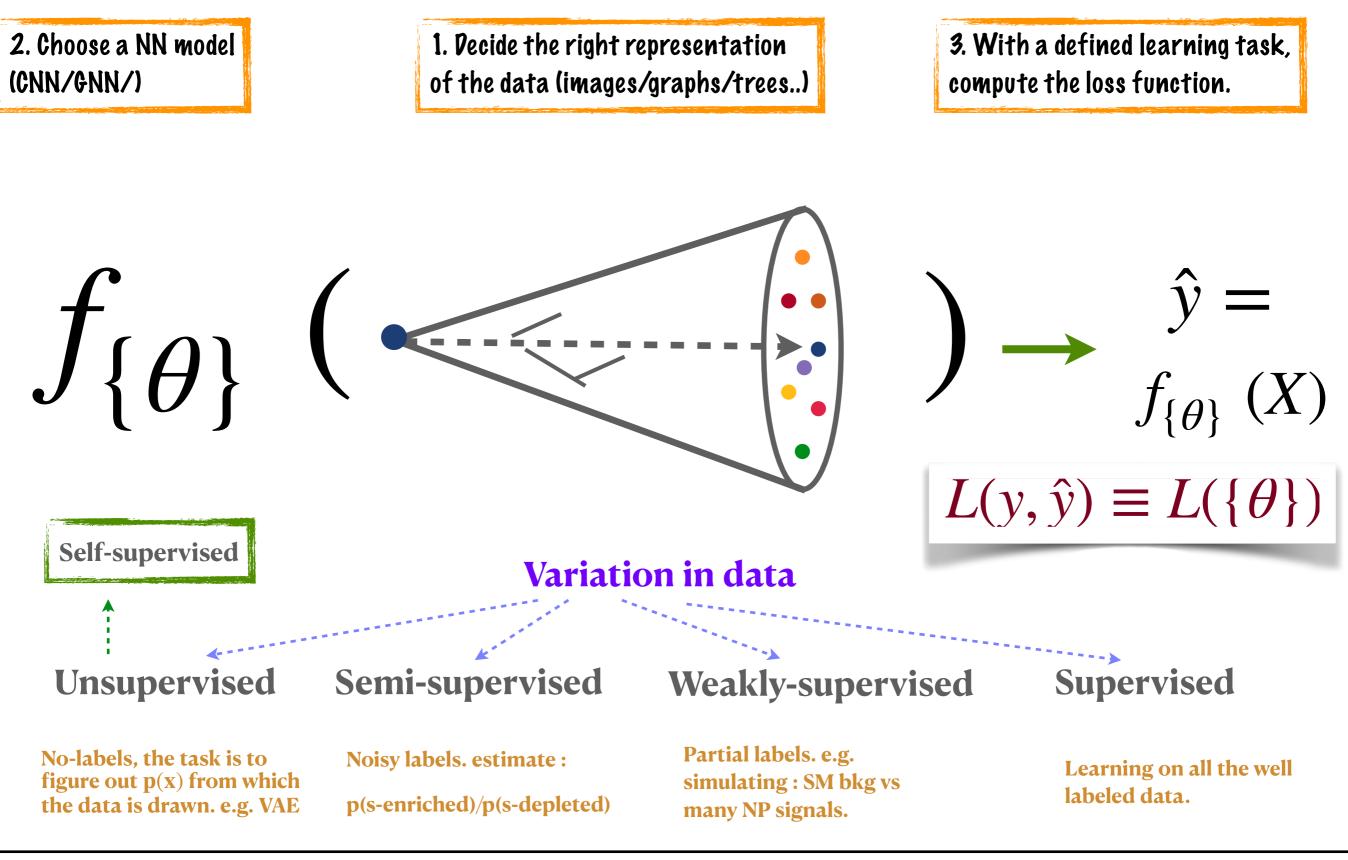
Sanmay Ganguly Indian Institute of Technology, Kanpur <u>sanmay@iitk.ac.in</u>

10/08/2024



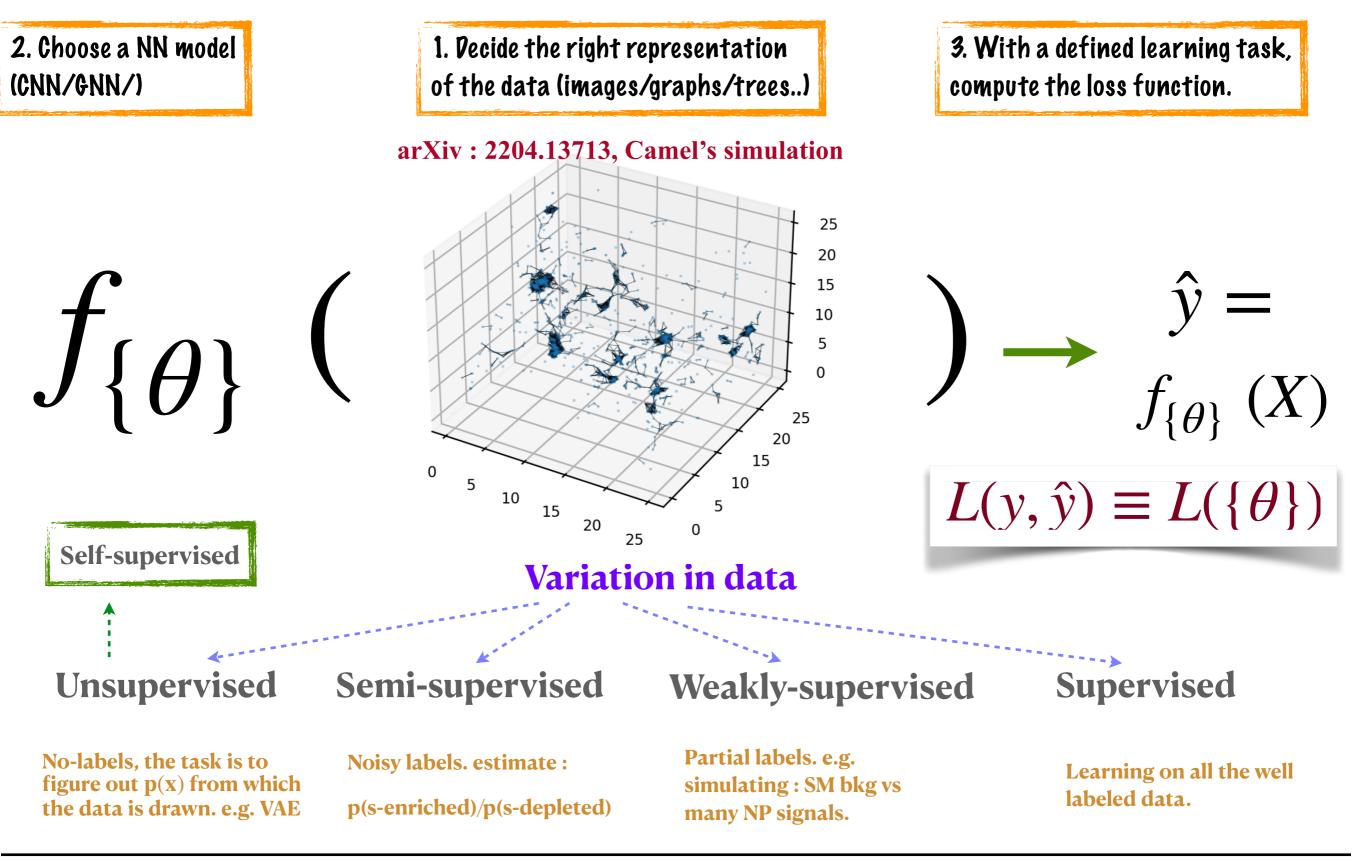
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ML@Natural-Science : what's the broad task?



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Different physics : same ML problems



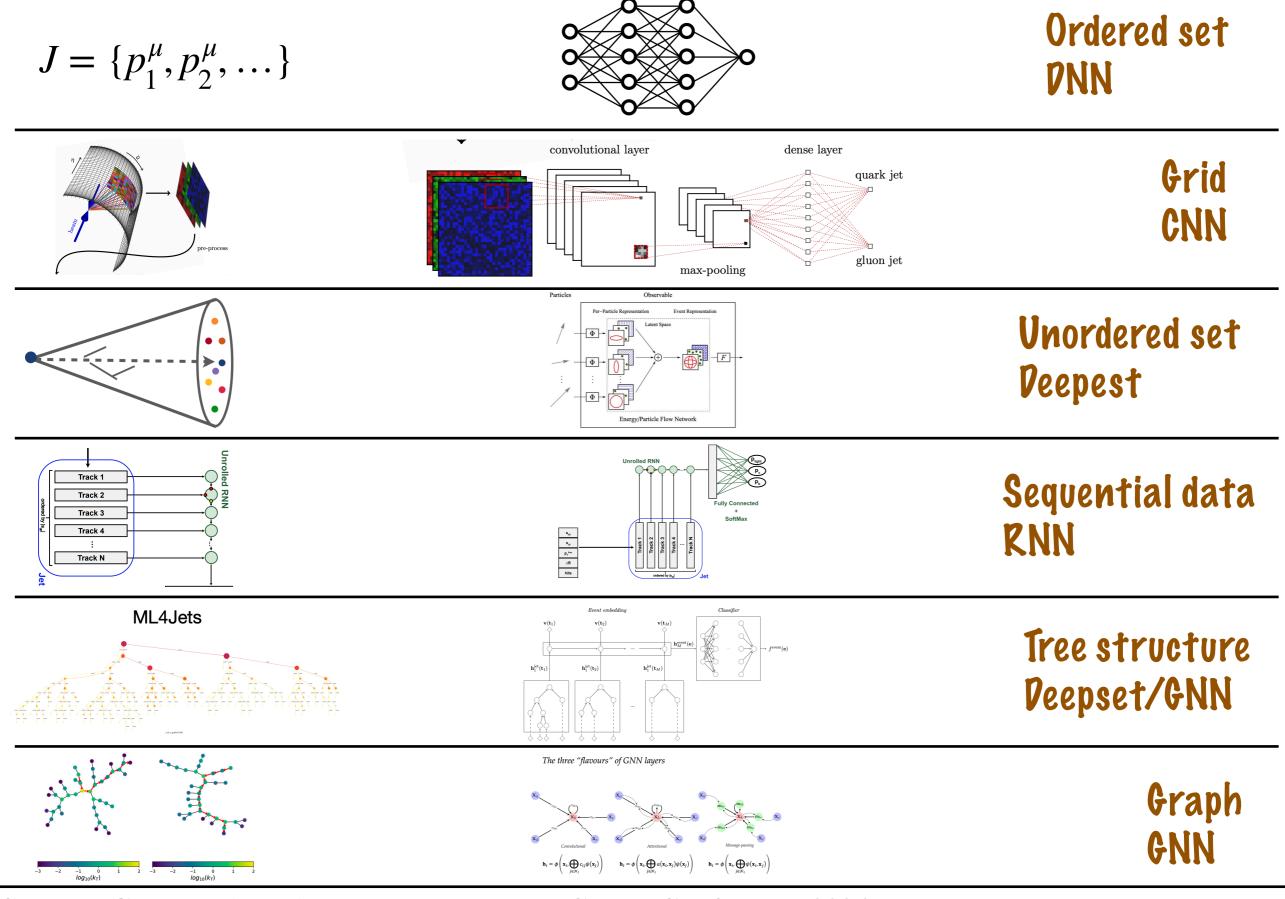
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This talk is about

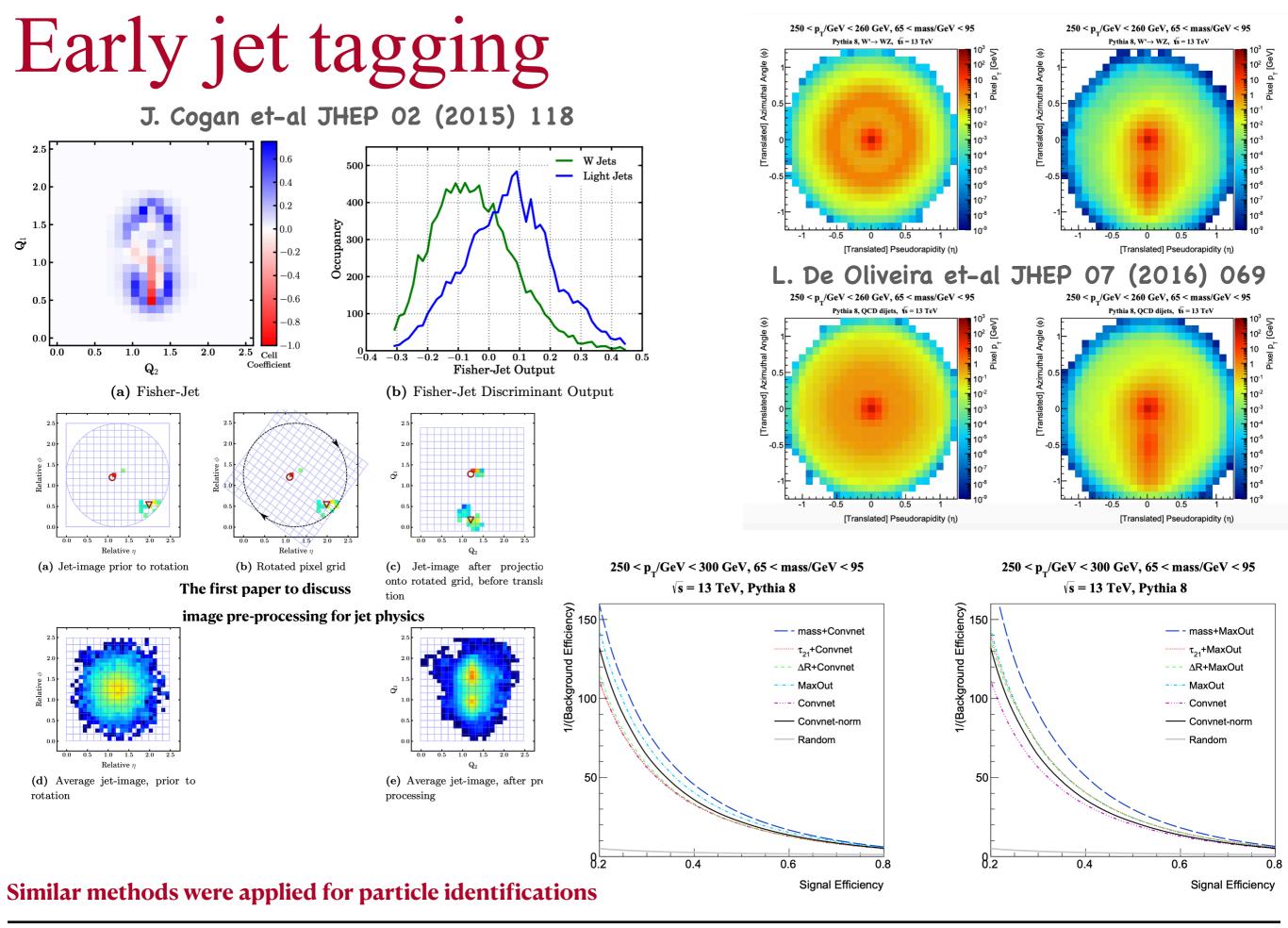
' Differentiable programming	Ø					
Simulation Based Inference						
Generative Models	Ø	Ø				
Unsupervised Learning	Ø	D				
Classification/ Regression						
	lmages	Sets	Graphs/ Heterographs	Hypergraphs/ Combinatorial co	mplexes	
~ ~ -	/					

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Data representation ⇔ NN correspondence

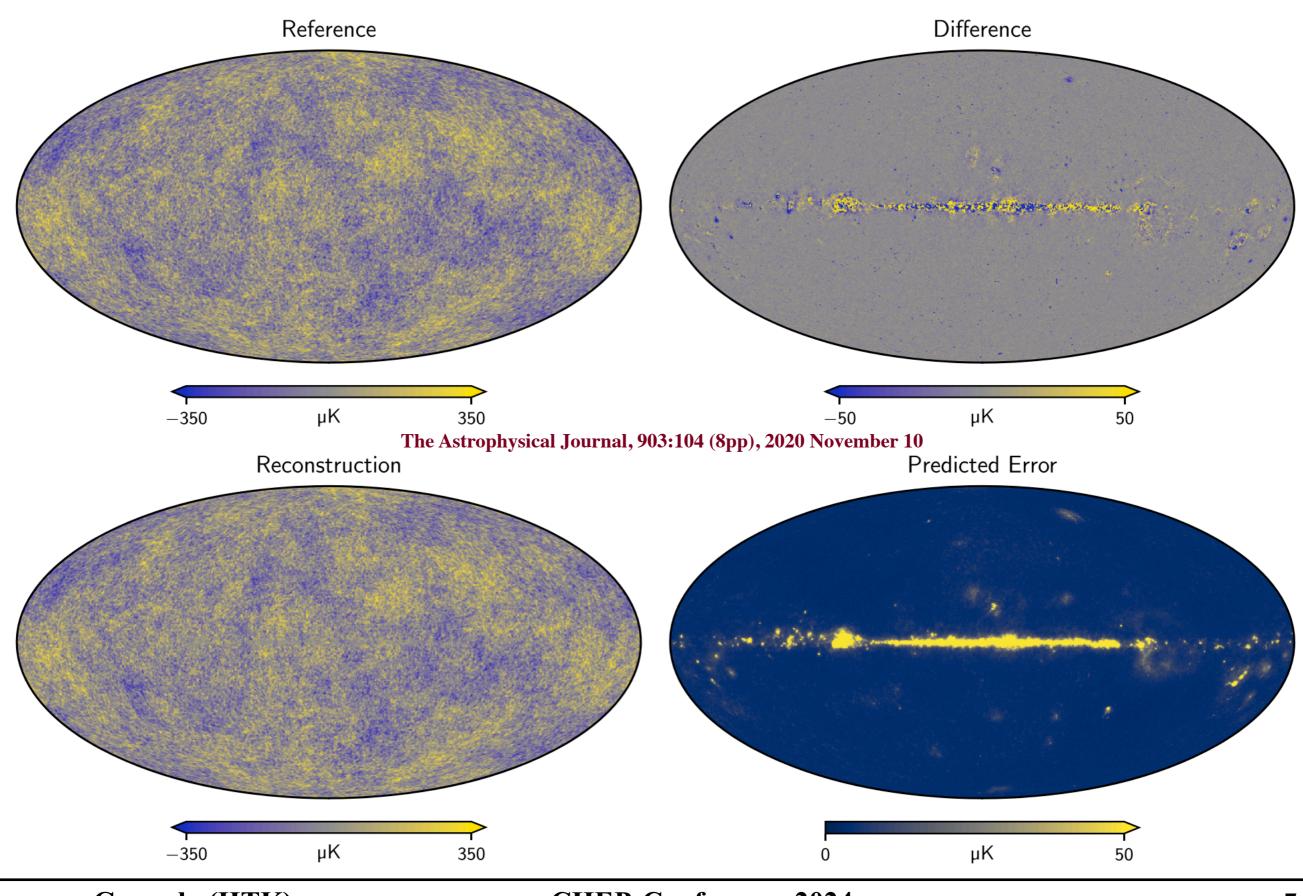


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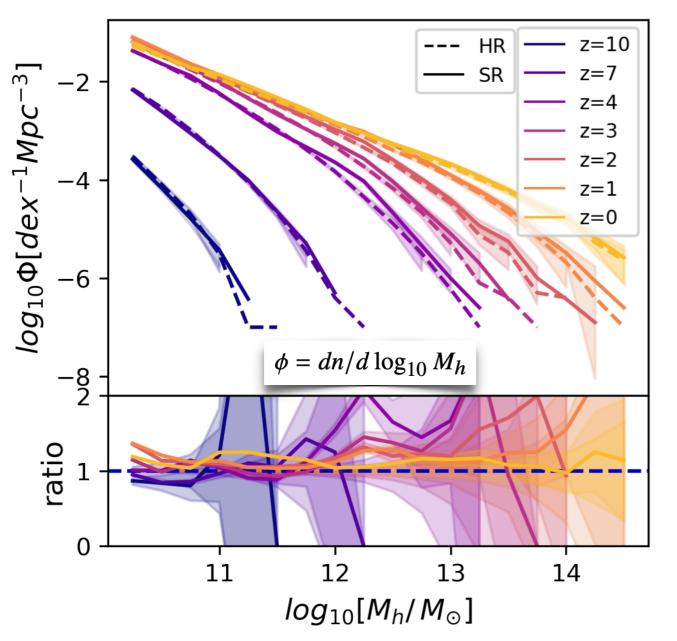
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CMB spectrum cleaning using NN

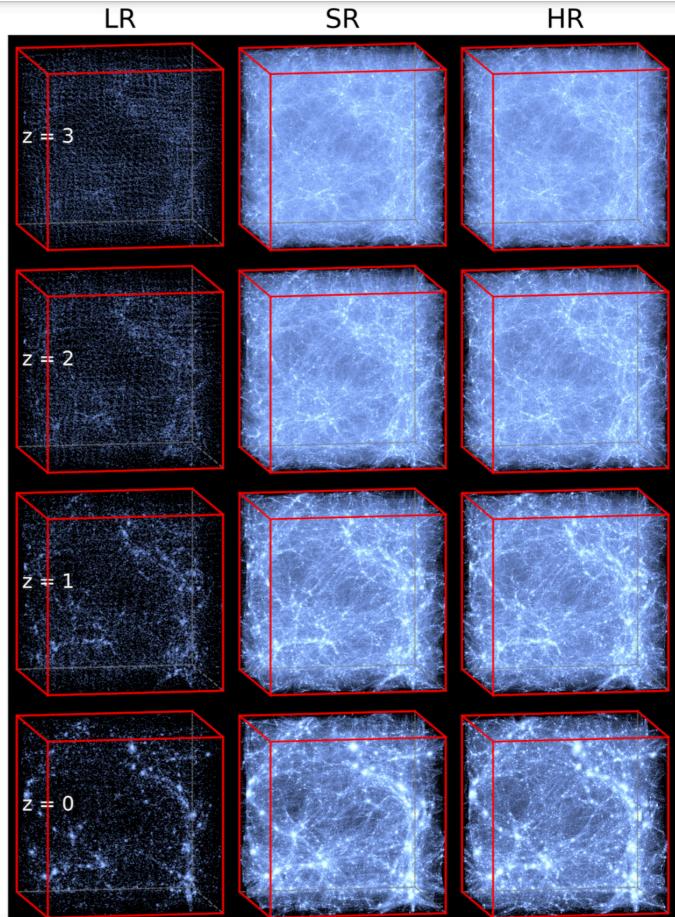


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Super-resolution



SR model is capable of generating merger histories that are solely dependent on on time-consistent LR input



MNRAS 000, 000-000 (2022)

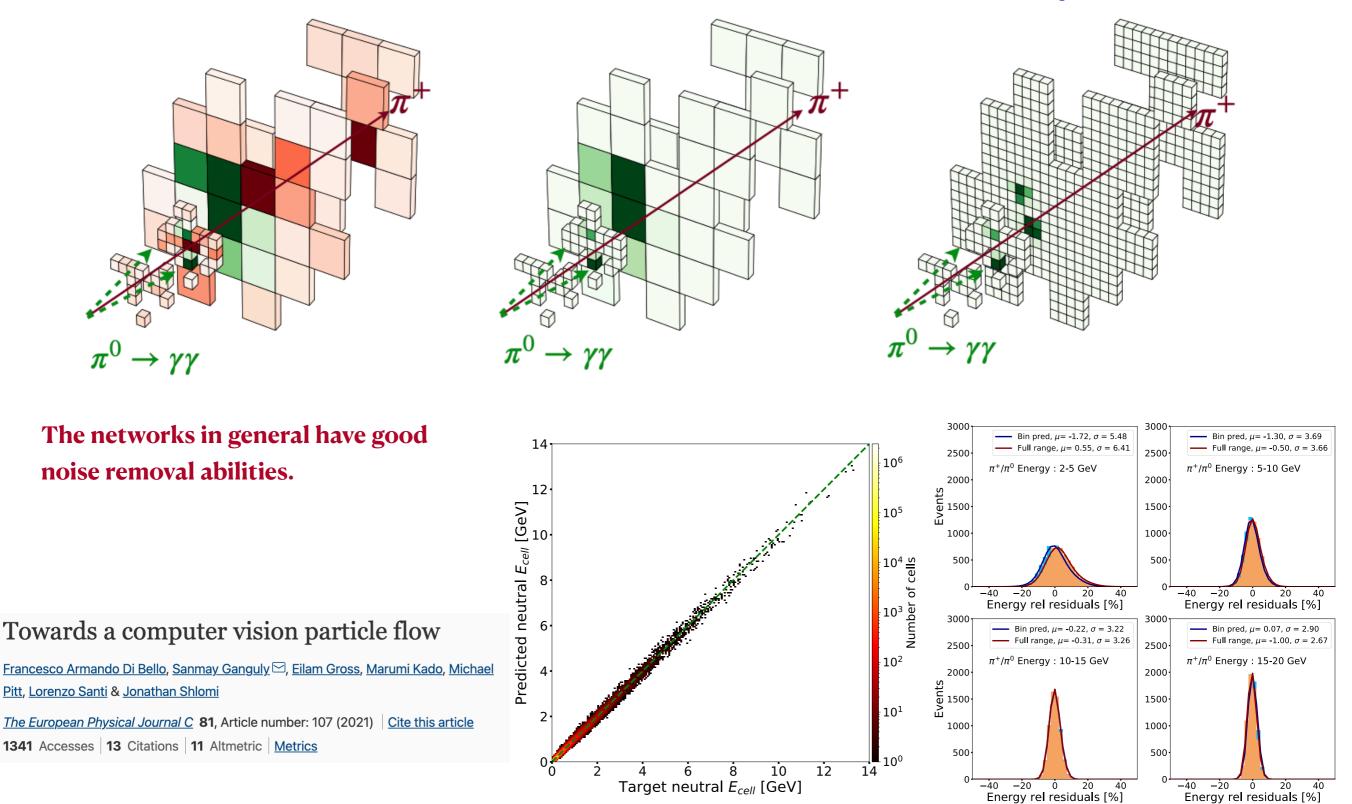
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A super-resolution case for HEP

8 X 8 Low Res detector

32 X 32 High Res detector

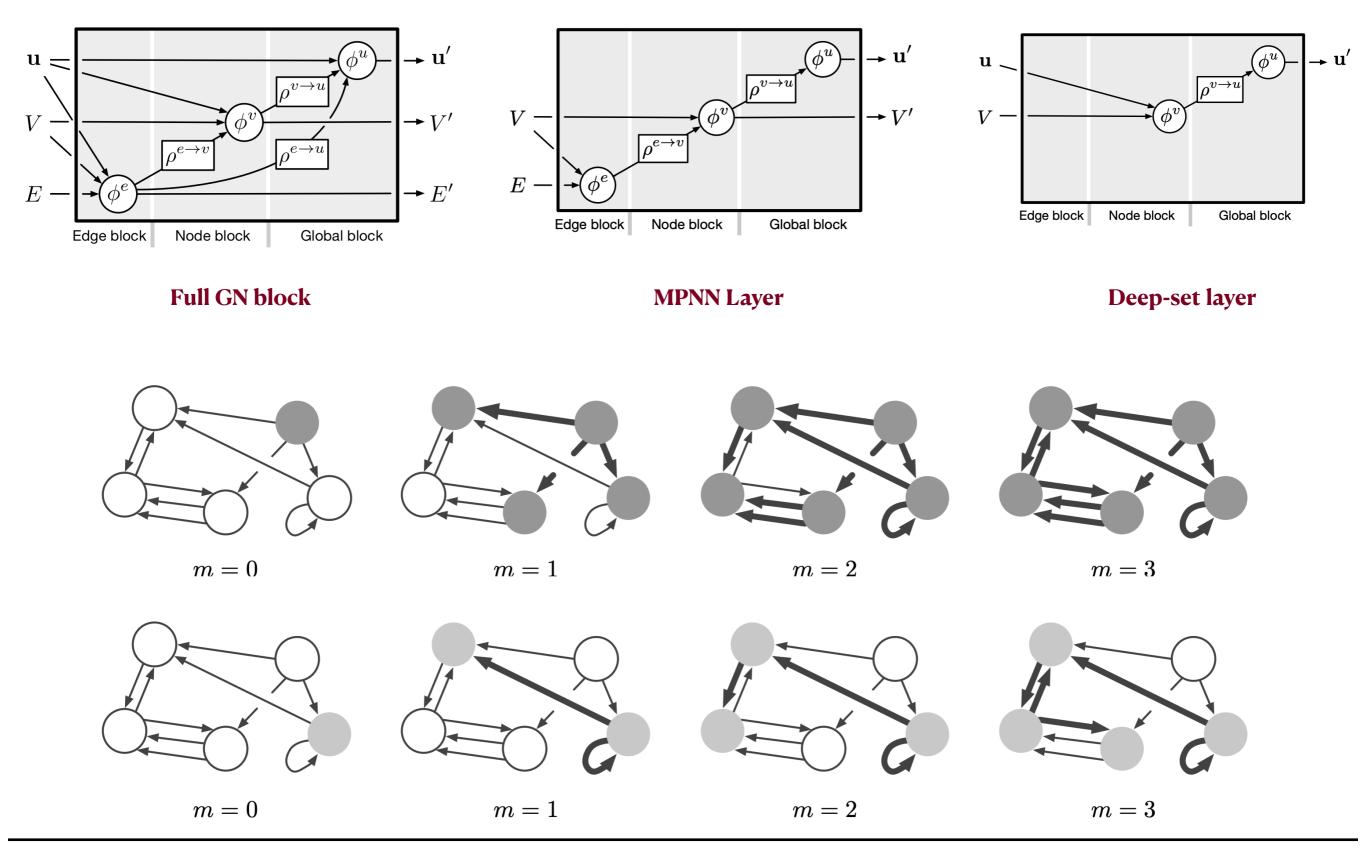
Energy rel residuals [%]



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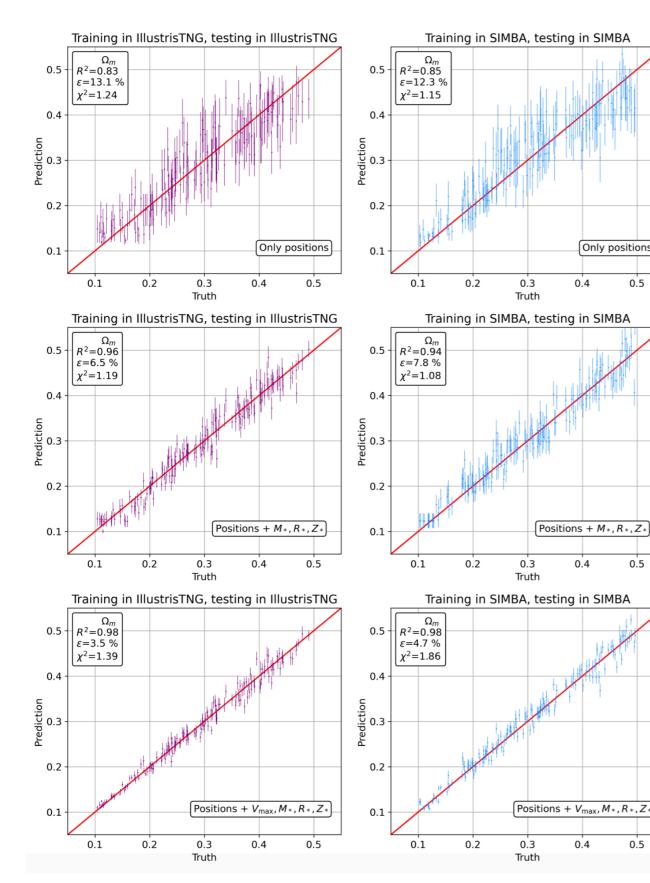
The general GNN

arXiv : 1806.01261

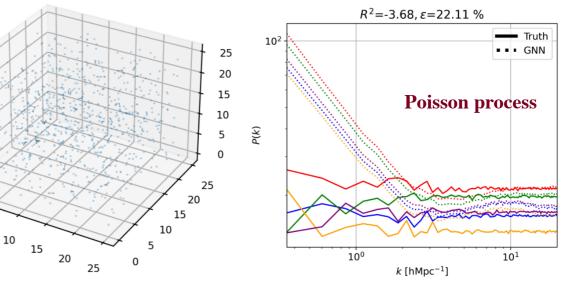


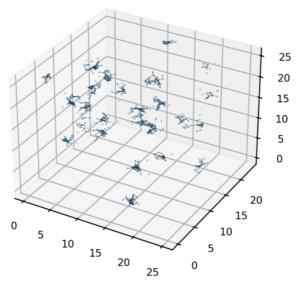
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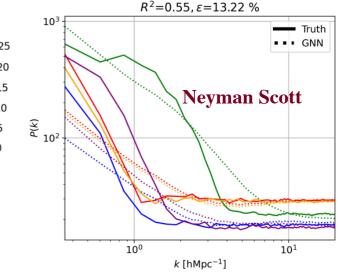
GNN in Cosmology

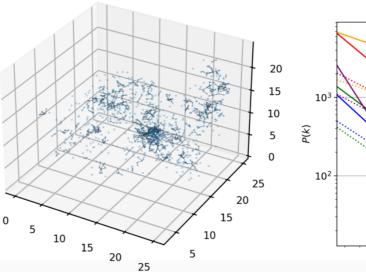


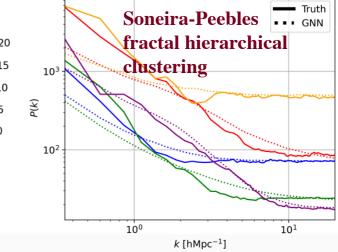
arXiv: 2204.13713











 $R^2 = 0.89, \varepsilon = 13.11$ %

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0

Only positions

0.5

0.4

0.4

0.4

0.5

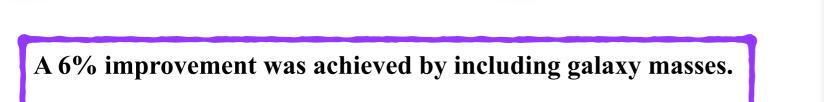
0.5

5

GNN in Cosmology : LOS velocity

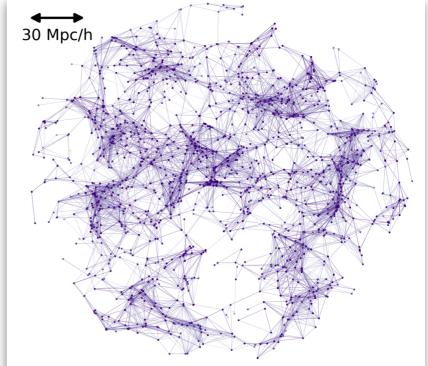
Туре	Feature	Symbol
Node	3D position	p
Node	Stellar mass	m_*
Node	Star formation rate	m_{SFR}
Global	Number of galaxies in a graph	N_g

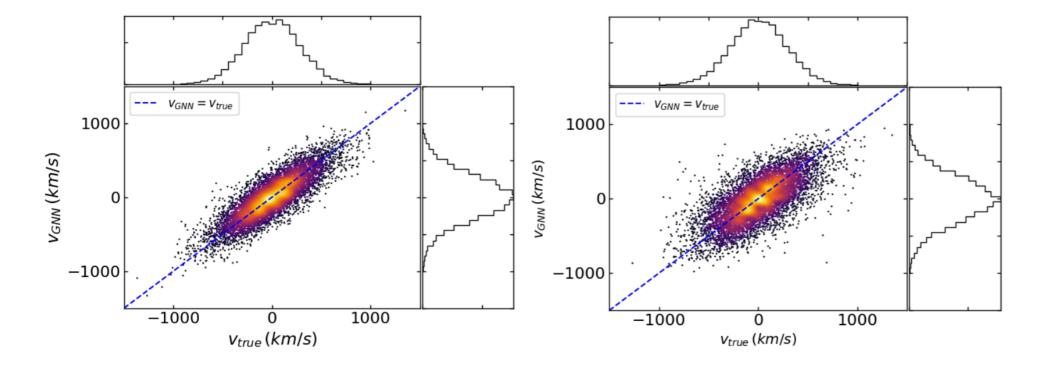
$$\frac{\Delta T_{\rm kSZ}}{T_{\rm CMB}} = -\sigma_{\rm T} \int n_{\rm e} \left(\frac{\boldsymbol{v} \cdot \hat{\boldsymbol{n}}}{c}\right) \mathrm{d}l \approx -\tau \left(\frac{\boldsymbol{v} \cdot \hat{\boldsymbol{n}}}{c}\right)$$



GNN can overcome the shortcoming of explicit galaxy bias.

(Required by perturbation theory based methods)

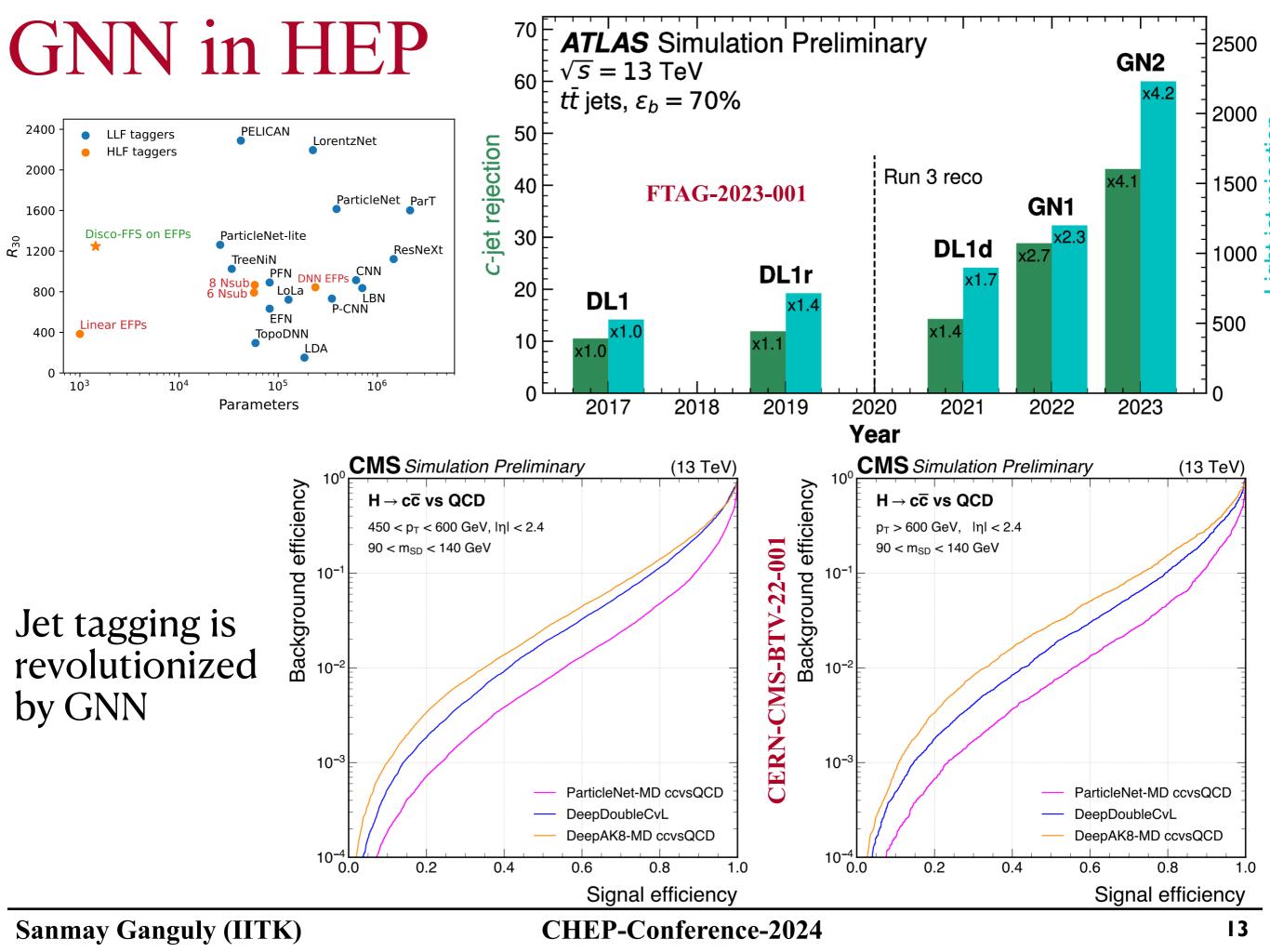




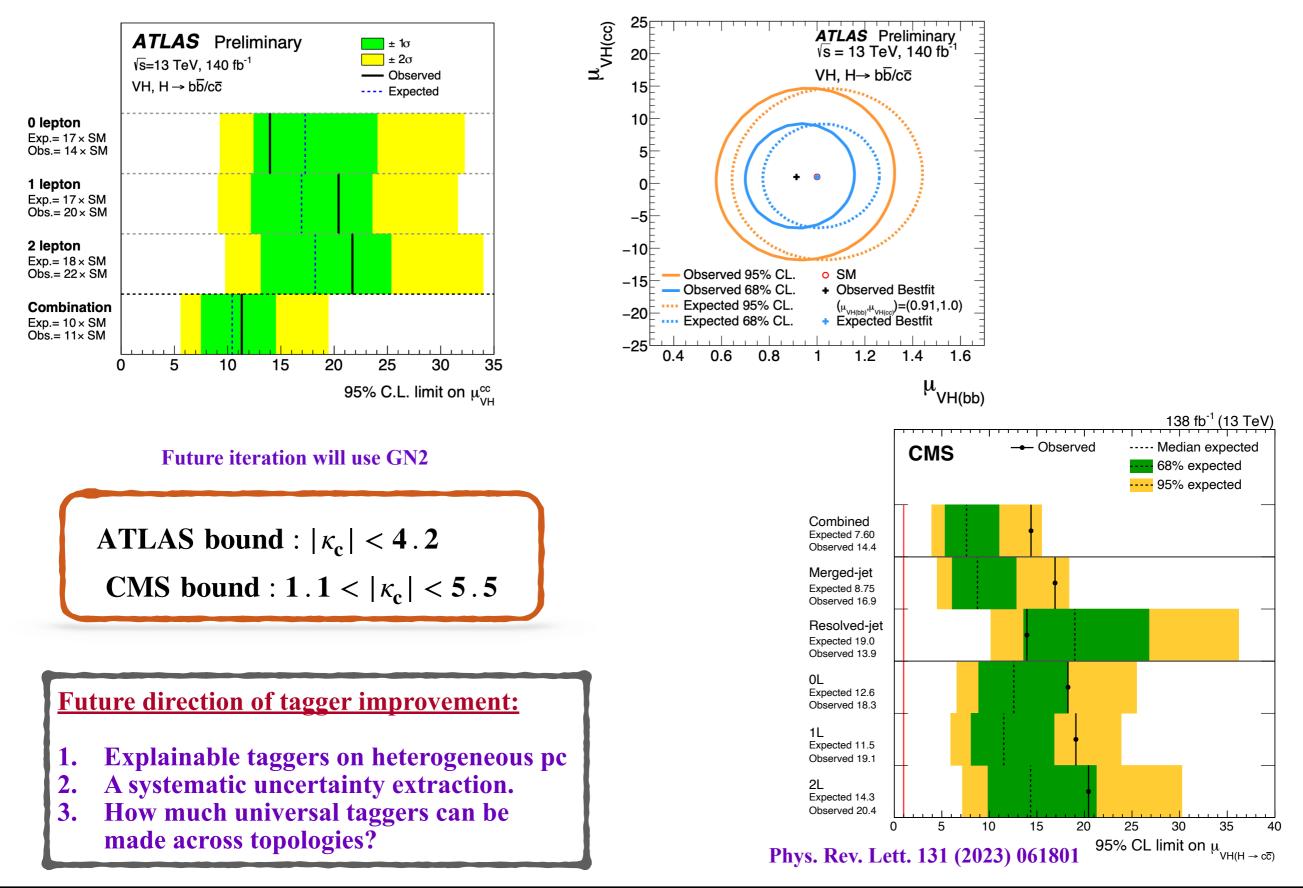
arXiv: 2402.1239

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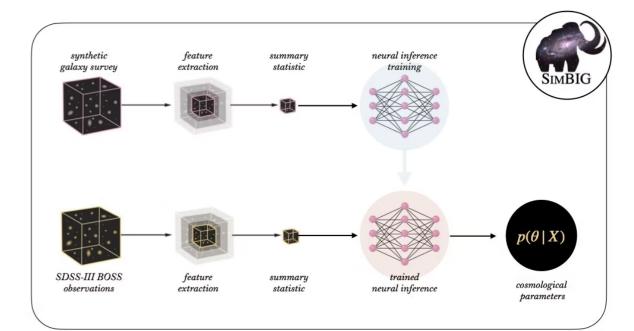
Direct physics application of the taggers

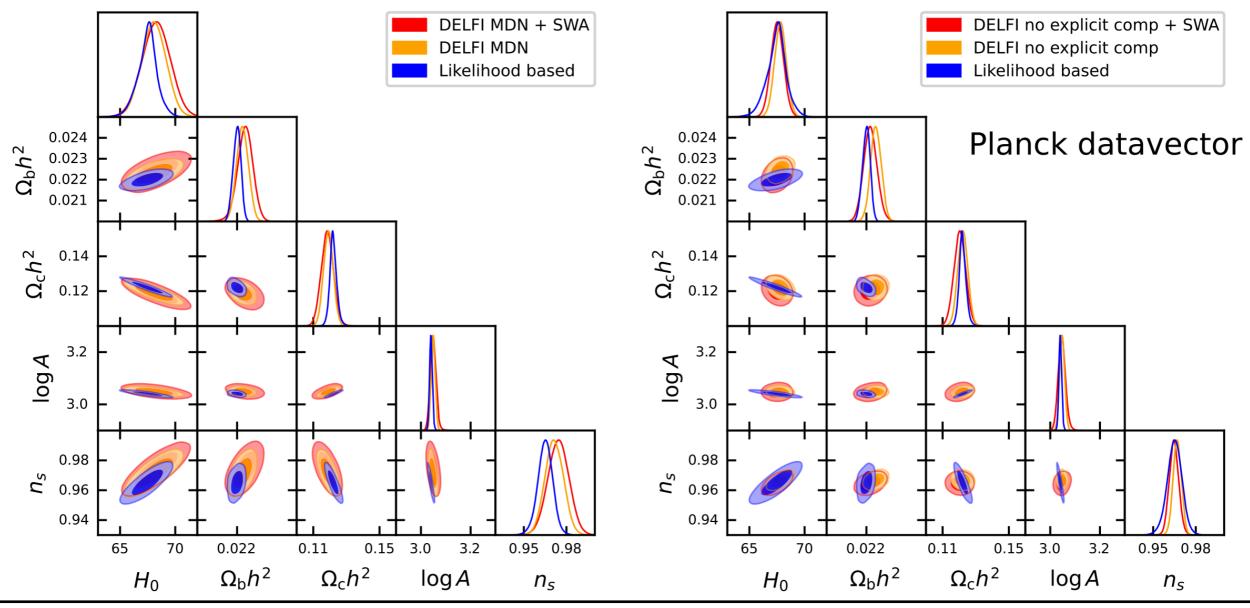


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SBI in Cosmology

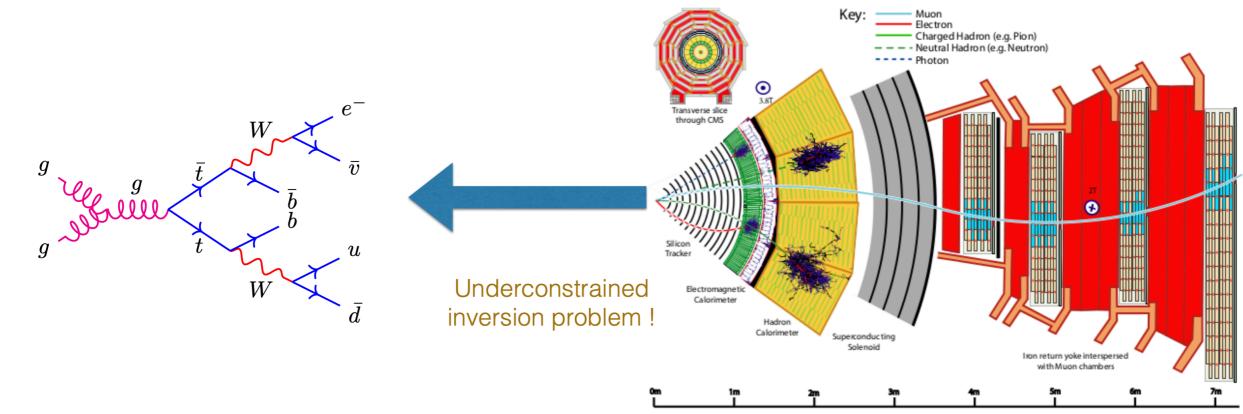
Likelihood free inference is state of the art

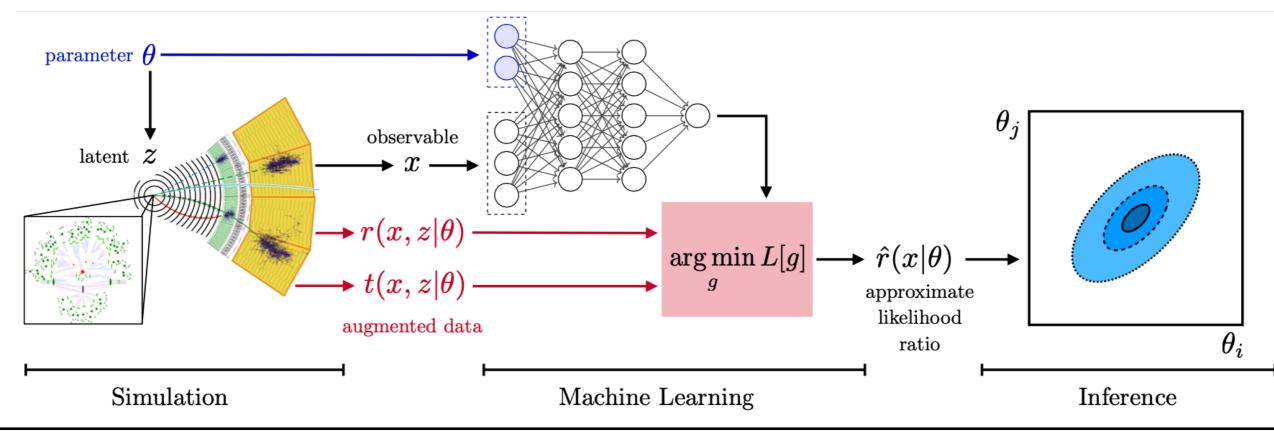




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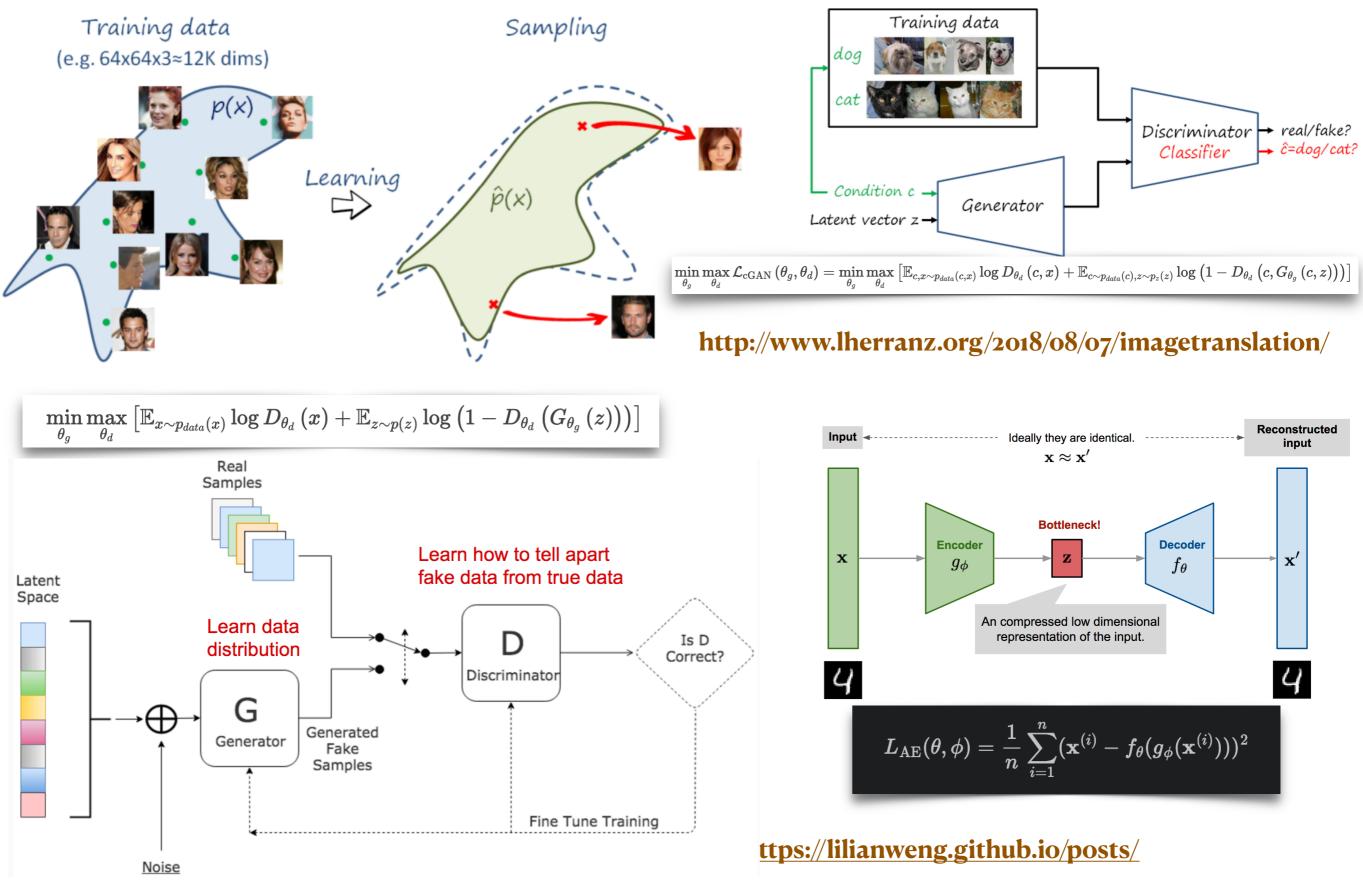
SBI in HEP





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Generative models : what are they?



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Generative models : the popular species

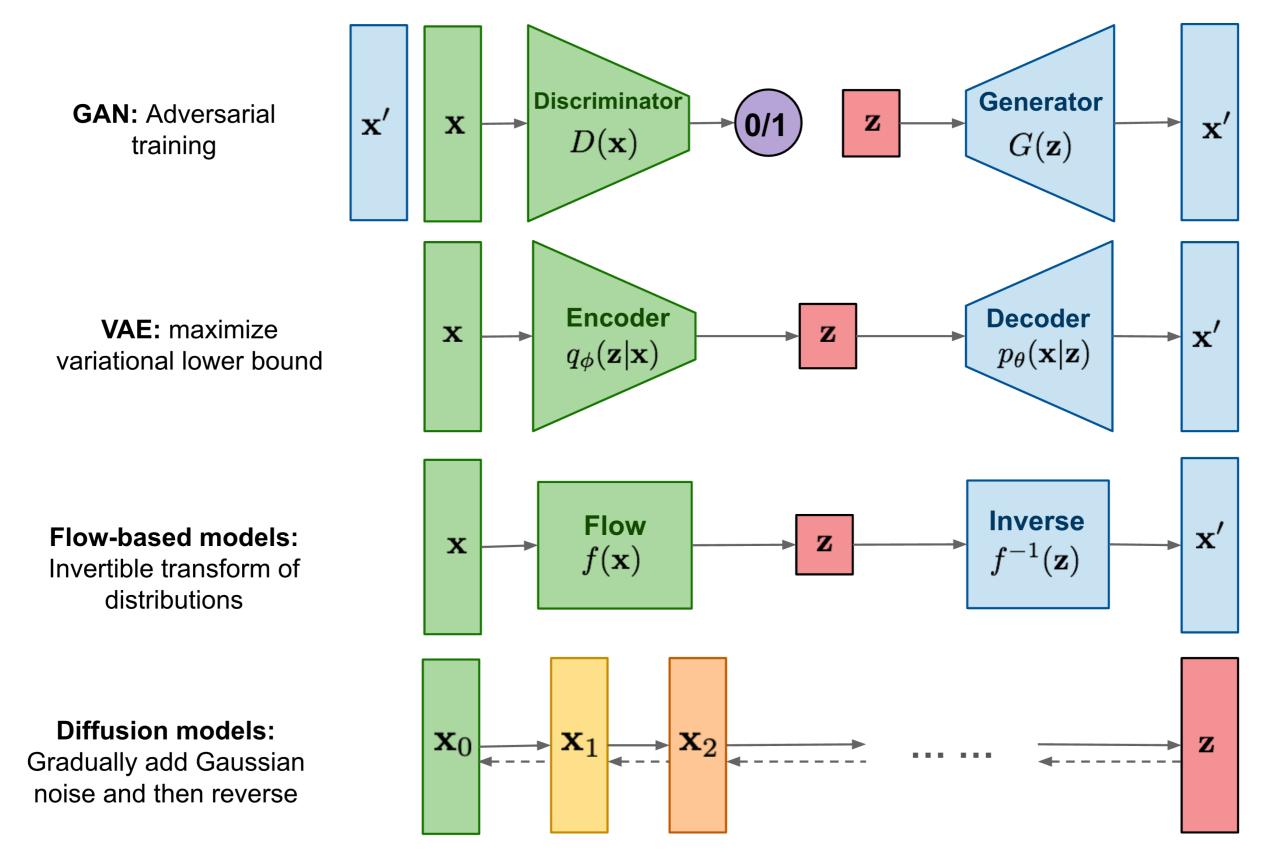
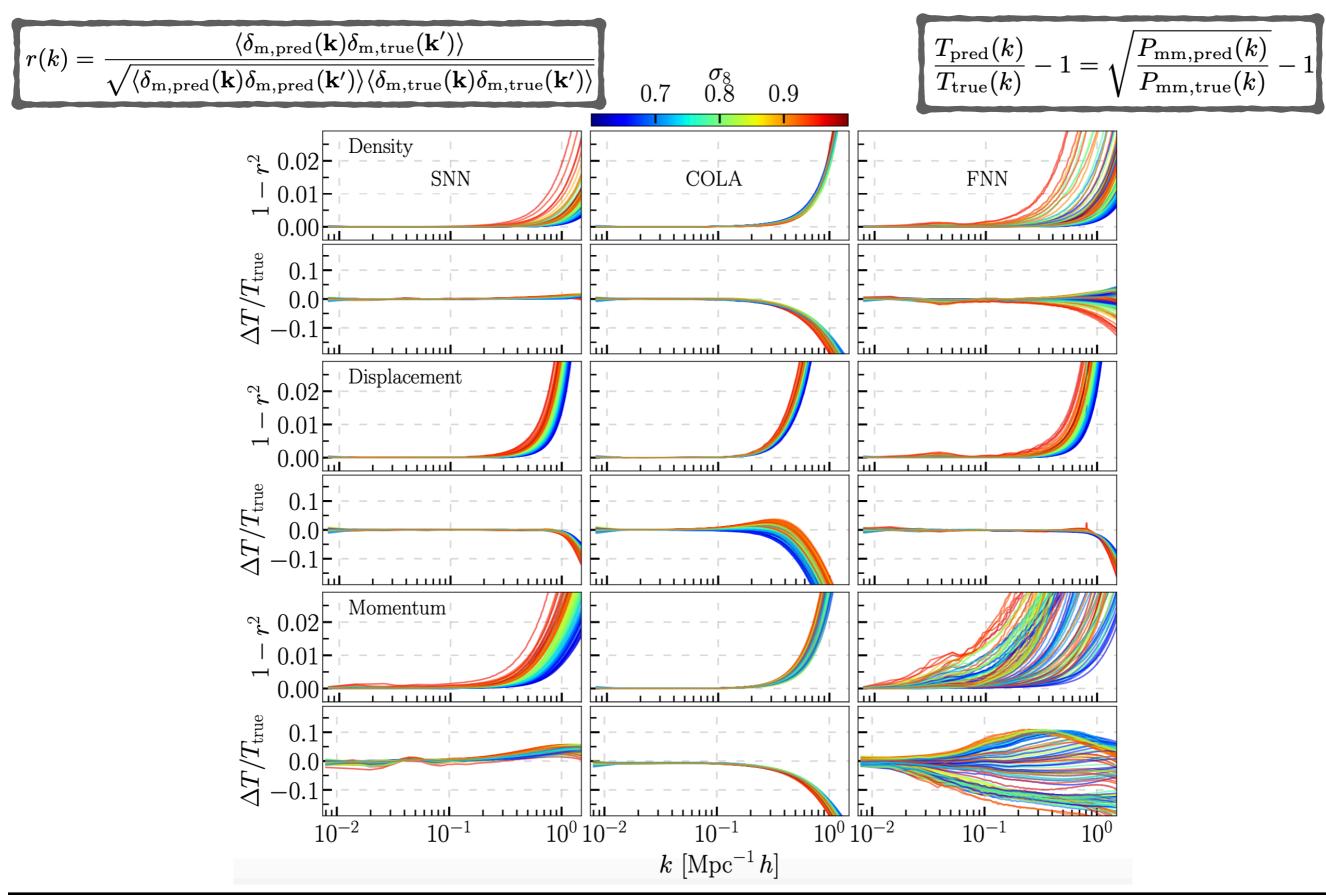


Fig from : https://lilianweng.github.io/posts/2021-07-11-diffusion-models/

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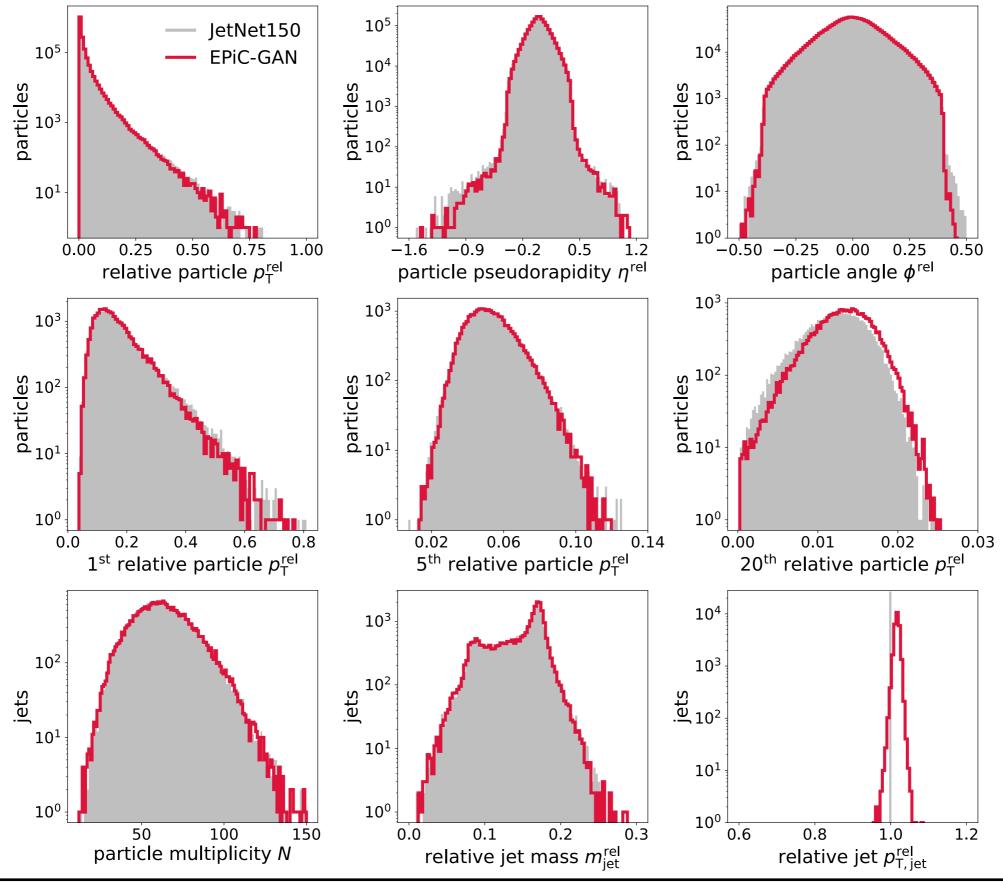
This universe doesn't exist

arXiv: 2206.04594



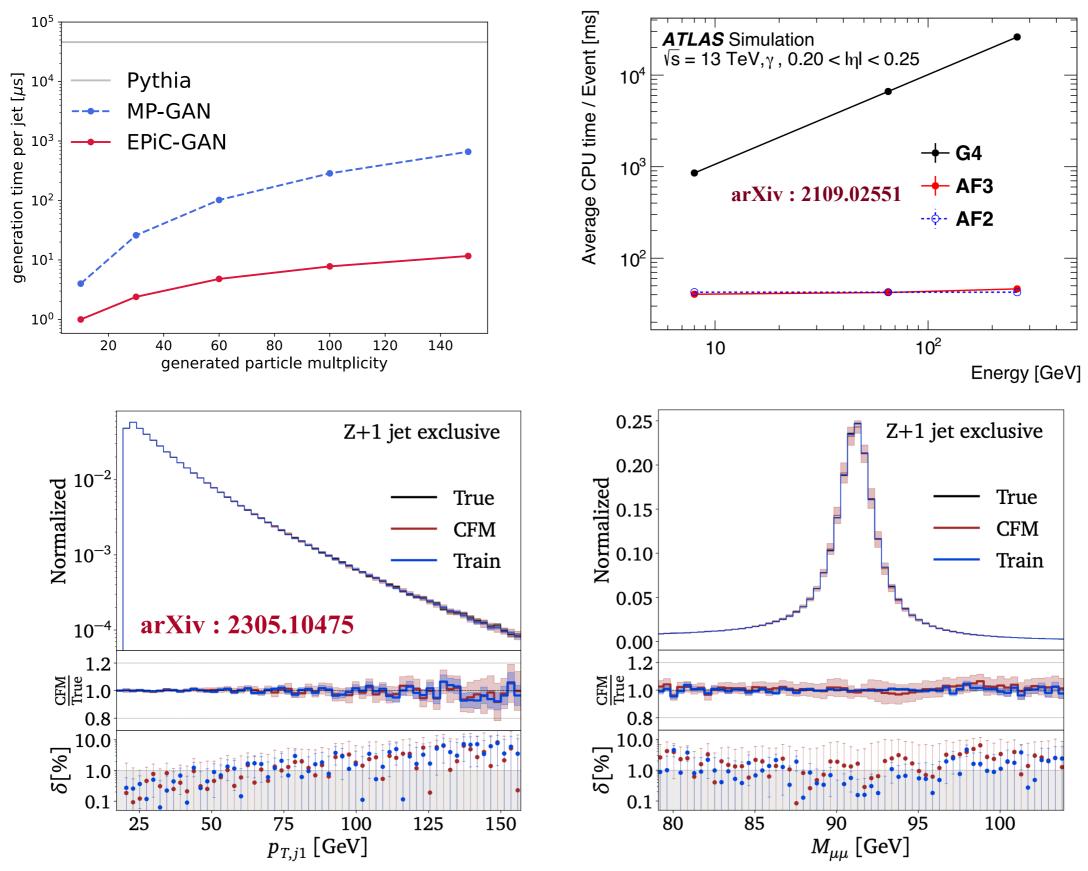
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The performance



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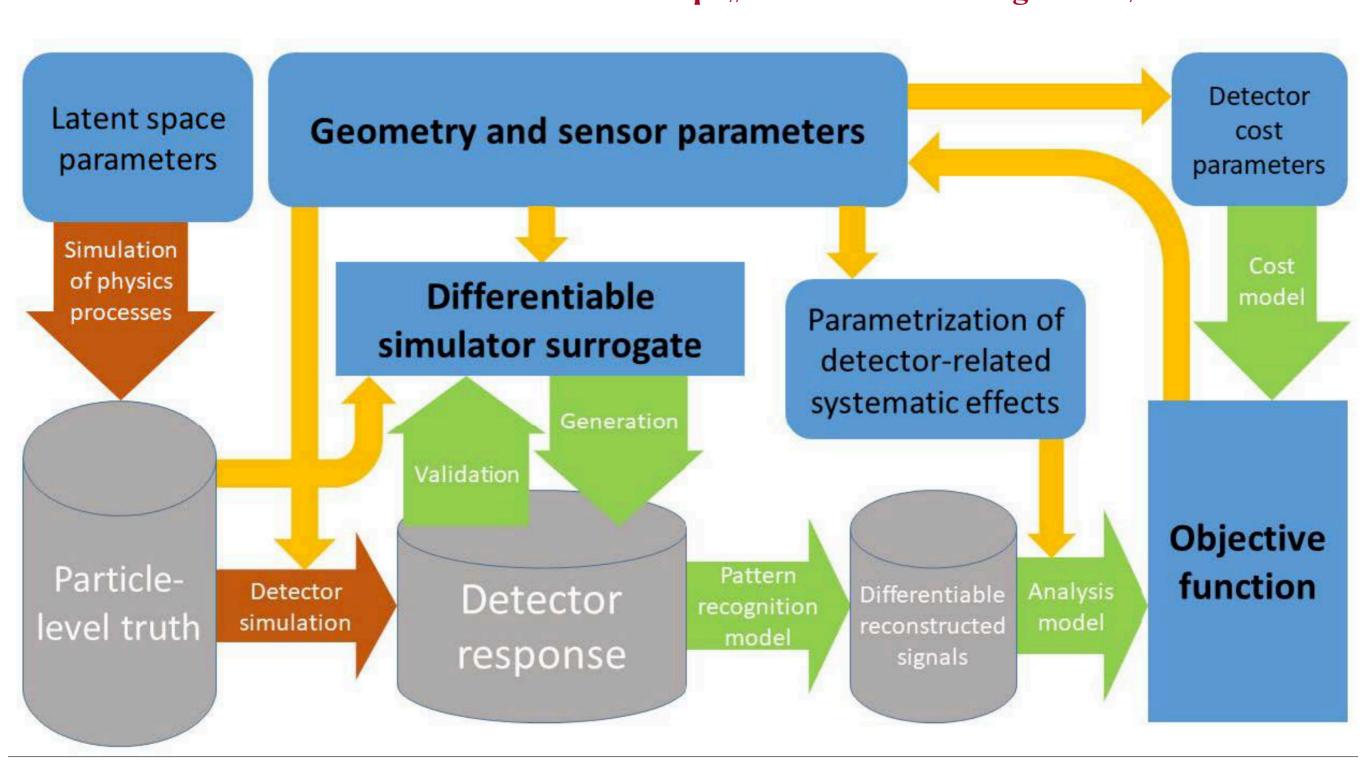
The major gain



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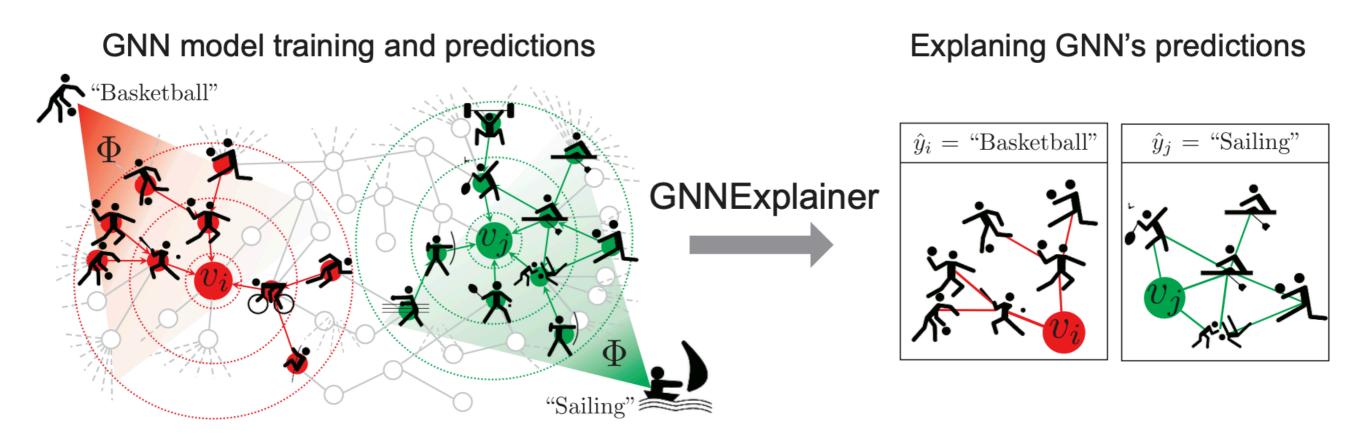
Differentiable programming

Differentiable programming allows us to configure our analysis optimization in learnable <u>https://mode-collaboration.github.io/</u>



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Major thrust in immediate future : Interpretability

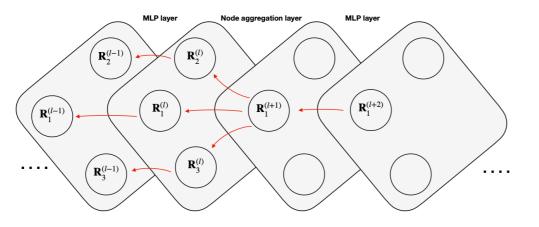


Interpretability is a key issue and efforts are ongoing to map the NN explainability to first principle physics intuition

Interpretability : an example attempt

$$\mathbf{R}_{j}^{(l)} = \sum_{k} rac{x_{j}A_{jk}}{\sum_{m} x_{m}A_{mk}} \mathbf{R}_{k}^{(l+1)}$$

where $\mathbf{R}_{j}^{(l)}$ represent the *R*-scores of the features of node *j* at layer *l*, while the quantity $x_j A_{jk}$ models the extent to which node *j* at layer *l*, with activation x_j , contributes to the relevance of node *k* at layer *l* + 1, where *A* is the adjacency matrix.



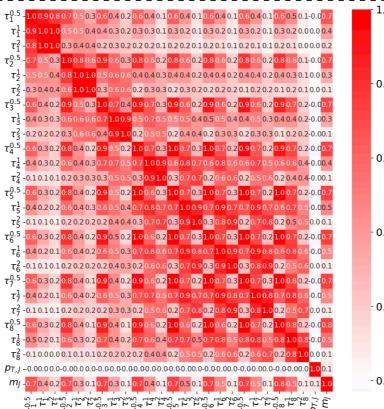
Neur IPS 2021. F. Mokhtar, R. Kansal et al

Explainability for MLPF

Figure 1: The flow of R-scores of node 1 across the different layers in MLPF. For MLP layers, the redistribution of R-scores follows the standard LRP rules [35, 36]. For the aggregation step in the message passing layer, the redistribution follows Equation 3. We only show three nodes for simplicity.

Feature correlation for top tagging.

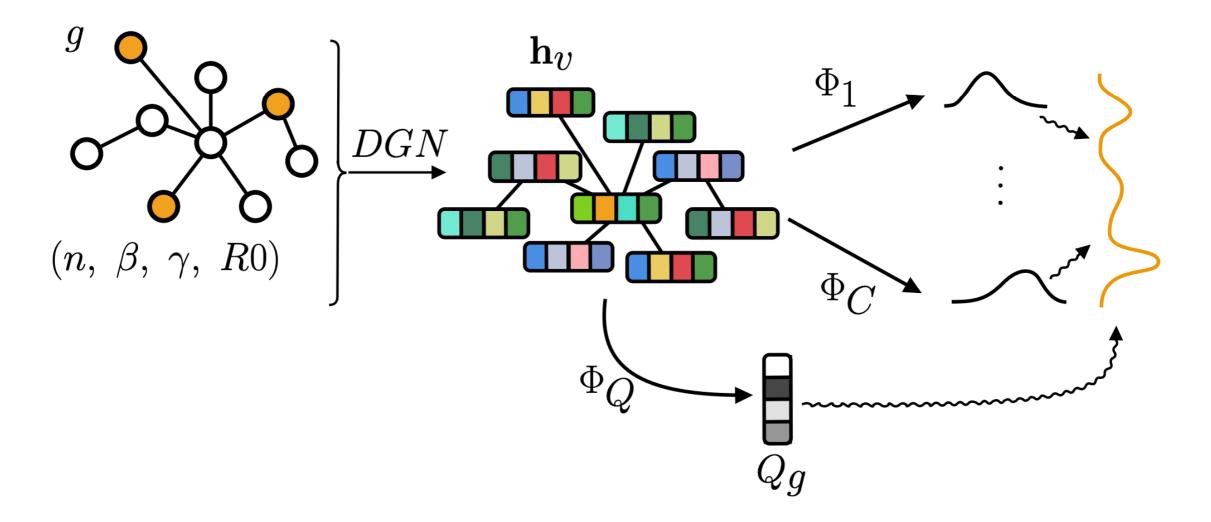
arXiv 2210.04371 Ayush Khot, Mark S. Neubauer, Avik Roy



(3)

- 1.0	-0.5	- 1.0
	$\tau_1^{0.5}$ -1.01.00.9 0.5 0.4 0.4 0.3 0.2 0.1 0.3 0.2 0.1 0.3 0.2 0.1 0.3 0.1 0.0 0.3 0.1 0.0 0.2 0.1 0.0 0.1 0.3 $\tau_1^{\frac{1}{2}}$ -1.0 1.0 1.0 0.4 0.4 0.4 0.2 0.2 0.1 0.2 0.1 0.1 0.2 0.1 0.1 0.2 0.1 0.0 0.2 0.1 0.0 0.1 0.1 0.0 0.0 0.1	
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	τ ₃ ² -0.1 0.1 0.1 0.3 0.4 0.4 0.6 <mark>1.0 1.0</mark> 0.3 0.6 0.6 0.2 0.5 0.5 0.2 0.4 0.4 0.2 0.3 0.3 0.1 0.2 0.2 0.0 0.1	
- 0.6	τ <mark>4^{0.5} -</mark> 0.3 0.2 0.1 0.5 0.3 0.2 <mark>0.8 0.5 0.3 1.0 0.7 0.5 0.9 0.6 0.4 0.9</mark> 0.6 0.3 0.8 0.6 0.2 0.8 0.6 0.2-0.1 0.5	- 0.6
- 0.0	τ_4^1 - 0.2 0.1 0.1 0.4 0.3 0.2 0.6 0.6 0.6 0.7 1.0 0.9 0.6 0.8 0.7 0.5 0.7 0.6 0.5 0.6 0.4 0.4 0.5 0.3 0.0 0.2	
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- 0.4	τ ² ₅ -0.10.10.00.20.20.20.30.40.50.40.70.80.40.91.00.30.70.80.20.50.60.10.40.40.00.0	- 0.4
	$ \tau_{0}^{0.5} \cdot 0.3 \ 0.2 \ 0.1 \ 0.5 \ 0.2 \ 0.1 \ 0.7 \ 0.4 \ 0.2 \ 0.5 \ 0.3 \ 0.9 \ 0.6 \ 0.3 \ 1.0 \ 0.7 \ 0.3 \ 1.0 \ 0.7 \ 0.3 \ 0.9 \ 0.7 \ 0.2 \ 0.1 \ 0.5 \ 0.7 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0.5 \ 0$	
	τ_6^2 -0.10.10.10.30.20.20.20.50.40.40.80.70.80.60.80.70.71.00.90.80.80.70.50.80.80.70.50.00.20.70.70.20.50.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.00.00.20.70.70.20.50.60.20.20.20.20.20.20.20.20.20.20.20.20.20	
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- 0.2	τ_{7}^{2} -0.0 0.0 0.0 0.1 0.1 0.1 0.2 0.3 0.3 0.2 0.4 0.5 0.3 0.5 0.6 0.3 0.7 0.7 0.3 0.9 1.0 0.2 0.7 0.8 0.0 0.0	
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	τ_8^1 - 0.1 0.1 0.1 0.3 0.2 0.1 0.5 0.3 0.2 0.6 0.5 0.3 0.6 0.6 0.4 0.7 0.7 0.5 0.7 0.8 0.7 0.7 1.0 0.9 0.0 0.3	
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- 0.0	m_{j} -0.3 0.1 0.1 0.4 0.2 0.1 0.5 0.2 0.1 0.5 0.2 0.1 0.5 0.2 0.0 0.5 0.2 0.0 0.5 0.3 0.0 0.5 0.3 0.0 0.1 1.0	
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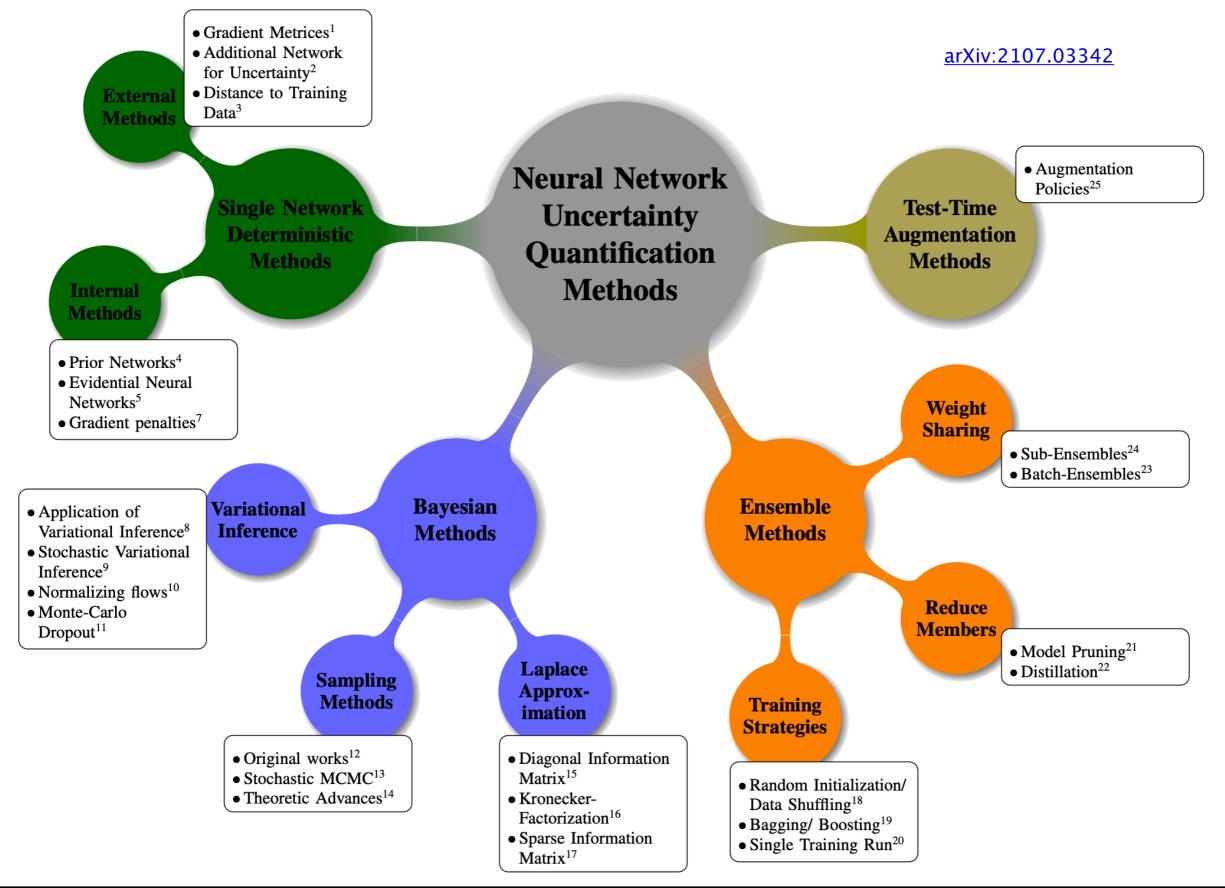
Major thrust in immediate future : Uncertainty



Reliable uncertainty estimation on ML based predictions are crucial for HEP Only few Bayesian methods have been tested naively.

Can we decompose and correlate the aleatoric and epistemic uncertainties with the underlying physics?

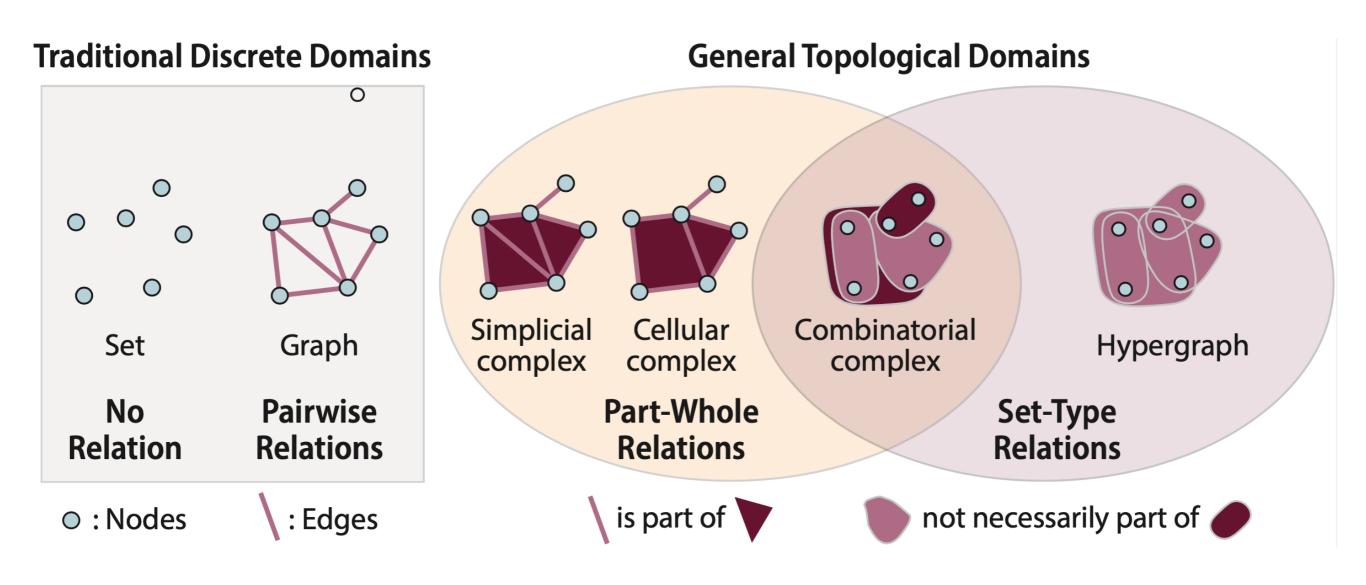
Major thrust in immediate future : Uncertainty



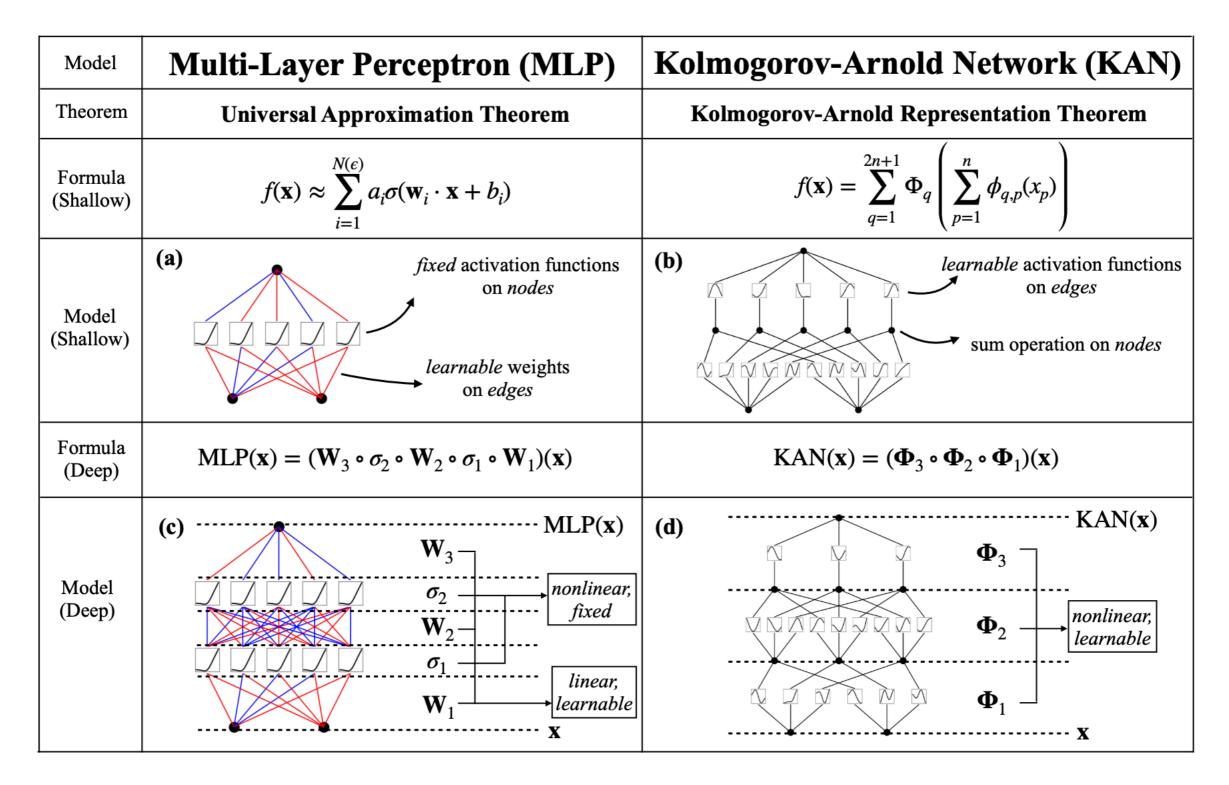
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An example of next frontiers

https://pyt-team.github.io/toponetx/



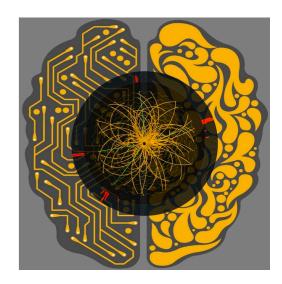
An example of next frontiers



Better interpretability through KAN?

Sanmay Ganguly (IITK)

Let's formulate the questions



ML is here to stay with HEP/Cosmology and other branches of natural sciences.

When looked through the lens of ML, it's about finding the right inductive bias for a prob. distribution

Interpretability and uncertainty estimation is a corner stone which we should emphasize.

Mathe The HEP community should talk with mathematicians/comp-sc and other branches of natural science who are using the similar methods and exchange ideas.

