

Higgs Combination

The 3 analyses

Z(l \bar{l})H(XX): neural to categorize in H flavour decay modes; fit on recoil distribution

Z(vv)H(XX): neural to categorize in H flavour decay modes; 2D fit on visible and missing mass

Z(qq)H(qq): multi-jet environment – categorization in flavours, 2D fit on recoil and dijet system

Final state	Z(l \bar{l})H(jj) [%]	Z(vv)H(jj) [%]	Z(jj)H(jj) [%]	Comb. [%]
H \rightarrow bb	0.68	0.3	0.25	0.18
H \rightarrow cc	4.11	2.17	2.92	1.60
H \rightarrow gg	2.28	0.92	2.00	0.78
H \rightarrow ss	342	114	363	103

Previous results from
Annecy, using 7.2 /ab

Combination =
quadrature sum

What we need for the mid-term

We fit directly $\sigma(\text{ZH}) \cdot \text{BR}(\text{H} \rightarrow \text{jj})$ (assume Z branching ratios perfectly measured)

The minimal deliverables for the mid-term report are:

- Combination of the 3 analyses at 240
- Combination of the 3 analyses at 365

Knowing ZH couplings, we can directly fit the BR and/or kappa's

- Combination of 240+365 GeV
- In first stage, combine assuming “absolute” ZH coupling known from Z(l)H
- Afterwards, we can attempt for a simultaneously with the Z(l)H analysis to extract the kappas:
 - At 240 GeV: $\sigma(\text{ZH}) \sim 0.7\%$, at 365 GeV: $\sigma(\text{ZH}) \sim 1.1\%$
 - Need to take into account possible correlations (some discussion needed)

- It seems important to monitor the improvements due to better algorithms
 - CDR (and MTR) precisions based on 2018 ILC efficiencies - see table below
 - Let's see where we can do better and update the table accordingly

Table 1. From Ref. [4]: Relative uncertainty (in %) on $\sigma_{ZH} \times \mathcal{B}(H \rightarrow X\bar{X})$ and $\sigma_{\nu_e \bar{\nu}_e H} \times \mathcal{B}(H \rightarrow X\bar{X})$, as expected from the FCC-ee data at 240 and 365 GeV.

\sqrt{s}	240 GeV		365 GeV	
Integrated luminosity	5 ab ⁻¹		1.5 ab ⁻¹	
Channel	ZH	$\nu_e \bar{\nu}_e H$	ZH	$\nu_e \bar{\nu}_e H$
H → any	±0.5		±0.9	
H → b \bar{b}	±0.3	±3.1	±0.5	±0.9
H → c \bar{c}	±2.2		±6.5	±10
H → gg	±1.9		±3.5	±4.5
H → W ⁺ W ⁻	±1.2		±2.6	±3.0
H → ZZ	±4.4		±12	±10
H → $\tau^+ \tau^-$	±0.9		±1.8	±8
H → $\gamma\gamma$	±9.0		±18	±22
H → $\mu^+ \mu^-$	±19		±40	
H → invisible	< 0.3		< 0.6	

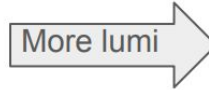


Table 3. From Ref. [4]: Relative uncertainty (in %) on $\sigma_{ZH} \times \mathcal{B}(H \rightarrow X\bar{X})$ and $\sigma_{\nu_e \bar{\nu}_e H} \times \mathcal{B}(H \rightarrow X\bar{X})$, as expected from the FCC-ee data at 240 and 365 GeV.

\sqrt{s}	240 GeV		365 GeV	
Integrated luminosity	10.8 ab ⁻¹		3.0 ab ⁻¹	
Channel	ZH	$\nu_e \bar{\nu}_e H$	ZH	$\nu_e \bar{\nu}_e H$
H → any	±0.36		±0.6	
H → b \bar{b}	±0.20	±2.1	±0.35	±0.6
H → c \bar{c}	±1.5	?	±4.4	±7.1
H → gg	±1.3	?	±2.5	±3.2
H → W ⁺ W ⁻	±0.8	?	±1.8	±2.1
H → ZZ	±3.0	?	±8.5	±7.1
H → $\tau^+ \tau^-$	±0.6	?	±1.3	±5.7
H → $\gamma\gamma$	±6.1	?	±13	±16
H → Z γ	??	??	??	??
H → $\mu^+ \mu^-$	±13	?	±28	
H → invisible	< 0.2	?	< 0.4	

Chap. 1.3:

<https://link.springer.com/content/pdf/10.1140/epjst/e2019-900045-4.pdf>

Combination strategy

Definition of signal processes:

- POIs and names
- $H \rightarrow (\tau\tau, WW, ZZ)$ as auxiliary POIs

Definition of backgrounds

- Procs: WW, ZZ, Zgamma, rares?
- Constrained or unconstrained

Separation of $Z(\nu\nu)$ and $\nu\nu H$

- Necessary for 365 GeV, but also at 240 (for the width measurement)
- Split on missing mass at RECO/GEN level

Fitting tools

All the fitting tools basically provide an implementation of the Poisson likelihood fit

- Combine (RooFit based)
- CombineTF (Tensorflow based)
- Custom RooFit

→ Combine and CombineTF are identical for binned fits

→ CombineTF does not support unbinned/analytic fits

→ Analytic fits should be identical to binned fits

Binning strategy

Need to synchronize on the binning strategy:

- Important, especially for sensitivity of the rare process $H \rightarrow s\bar{s}$
- Extensive studies done with the hadronic analysis

Converged on:

- Start from uniform 1 GeV bins in recoil/mjj/etc. templates
- Rebin such that
 - At least one expected event in each bin (i.e. both signal and backgrounds)
 - Put $1e-4$ event content in empty bins

MC statistical uncertainties

Monte Carlo statistical uncertainties important to consider

Combine and CombineTF have the Barlow-Beeston light algo implemented

- Used in all CMS analyses
- Effectively assigns an equivalent stat. uncertainty of all processes combined
- Should include the signal processes as well

Usage:

- Combine: in the cards using: `* autoMCStats 0 1`
- CombineTF: argument line: `--binByBinStat`

Obviously, need to enable `TH1::Sumw2()`

Systematic uncertainties

Currently only uncertainties on the background (normalization)

Repository/versioning/lumi

Will make a repository so we can track the versionings of the cards

Need to converge on the lumis (final numbers to be used)