Transverse polarization and the electron Yukawa at an FCC-ee

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Introduction

- •Discussion of Higgs couplings status and FCC projections
- •Previous work on the electron Yukawa coupling
- •Introduction to transverse polarization observables at the FCC
- •Opportunities in the bb and WW final states

Higgs couplings at future e+e- colliders

•The measurement of the Higgs couplings is a primary goal of future high-energy experiments. e+e- colliders will play a central role in this study. Impressive, sub-10% errors projected at a future FCC-ee machine.

ILC FCC-ee

Dawson et al, 2209.07510 3

Measuring fermion Yukawa couplings

•An important aspect of this program is determining whether the single Higgs

boson found so far gives mass to all elementary fermions.

Some Yukawa interactions known well; some known with large errors; many are completely unmeasured

Measuring fermion Yukawa couplings

•Ideas exist to measure light-quark couplings using ee→ZH production and multivariate techniques to separate cc, ss, gg, bb final states.

Z(II)H(XX): neural to categorize in H flavour decay modes; fit on recoil distribution Z(vv)H(XX): neural to categorize in H flavour decay modes; 2D fit on visible and missing mass $Z(qq)H(qq)$: multi-jet environment – categorization in flavours, 2D fit on recoil and dijet system

from J. Eysermans, talk at 7th FCC workshop (2024)

The electron Yukawa at the FCC

•The most inaccessible of the Yukawa couplings studied so far is the electron coupling. Requires exquisite control over beam spread and combination of many channels.

d'Enterria, Poldaru, Wojcik 2107.02686

Small peak hidden below large continuum background

The electron Yukawa at the FCC

•The most inaccessible of the Yukawa couplings studied so far is the electron coupling. Requires exquisite control over beam spread and combination of many channels.

d'Enterria, Poldaru, Wojcik 2107.02686

There is an active program to develop beam configurations capable of reaching the level required for studies of the electron Yukawa

A. Faus-Golfe, talk at FCC week 2024

The electron Yukawa at the FCC

•The most inaccessible of the Yukawa couplings studied so far is the electron coupling. Requires exquisite control over beam spread and combination of many channels.

d'Enterria, Poldaru, Wojcik 2107.02686

Our goal: show that transverse polarization asymmetries may help improve upon inclusive cross section determinations. We will focus first on the theory aspects, and then move onto experimental realities.

Transverse spin asymmetries

•The idea is to use transverse spin asymmetries to increase the sensitivity to the electron Yukawa coupling. We consider the following observables in our study.

Electron transversely polarized, positron longitudinally polarized (SP+):

Electron polarized, positron unpolarized (SP0):

Electron transversely polarized, positron longitudinally polarized (DP):

Electron transversely polarized, positron longitudinally polarized (SP-):

$$
N = \frac{1}{2}(\sigma^{+0} - \sigma^{-0})
$$

$$
D = \frac{1}{2}(\sigma^{+0} + \sigma^{-0})
$$

$$
N = \frac{1}{4}(\sigma^{++} - \sigma^{+-} - \sigma^{-+} + \sigma^{--})
$$

$$
D = \frac{1}{4}(\sigma^{++} + \sigma^{+-} + \sigma^{-+} + \sigma^{--})
$$

$$
N = \frac{1}{2}(\sigma^{++} - \sigma^{-+})
$$

$$
D = \frac{1}{2}(\sigma^{++} + \sigma^{-+})
$$

$$
N = \frac{1}{2}(\sigma^{+-} - \sigma^{--})
$$

$$
D = \frac{1}{2}(\sigma^{+-} + \sigma^{--})
$$

Transverse spin asymmetries

 $N = \frac{1}{2}(\sigma^{+-} - \sigma^{--})$
 $D = \frac{1}{2}(\sigma^{+-} + \sigma^{--})$

•The idea is to use transverse spin asymmetries to increase the sensitivity to the electron Yukawa coupling. We consider the following observables in our study.

> polarized, positron longitudinally polarized (SP+):

N

D

Electron polarized,

Electron transversely polarized, positron longitudinally polarized (SP-):

positron unpolarized (SP0): at an FCC without a decrease in luminosity. We will can provide ar longitudinally polarized (DP): Caveat: Longitudinal polarization is difficult to obtain show what advantages it can provide, and attempt to use semi-realistic parameter choices.

RIGHT

 $A =$

LEFT

Theoretical structure of transverse SSAs

•The structure of transverse SSAs is dictated by the discrete symmetries of the SM.

Recall the transformations of quantum operators under parity and timereversal:

$$
P c a_{\vec{p}}^s P^{-1} = c a_{-\vec{p}}^s
$$

$$
T c a_{\vec{p}}^s T^{-1} = c^* a_{-\vec{p}}^{-s}
$$

c is a c-number; time reversal is an anti-linear operator

It is useful to also consider a linear transformation related to time-reversal invariance, often called "naive" time-reversal (Sivers 1996):

$$
A_t \, ca_{\vec{p}}^s \, A_t^{-1} = ca_{-\vec{p}}^{-s}
$$

For transverse spin S_T , we can form the following structures can contribute to the asymmetry, which must be odd under the combined transformation PA_t :

$$
S_T \cdot p_q \qquad \Rightarrow \text{P odd, } A_t \text{ even}
$$

$$
\varepsilon(p_e, p_{\bar{e}}, p_q, S_T) \qquad \Rightarrow \text{P even, } A_t \text{ odd}
$$

Theoretical structure of transverse SSAs

•The structure of transverse SSAs is dictated by the discrete symmetries of the SM.

Two key points:

$$
S_T \cdot p_q = \beta_q \frac{\sqrt{s}}{2} \sin(\theta) \cos(\phi),
$$

$$
\epsilon(p_e, p_{\bar{e}}, p_q, S_T) = -\beta_e \beta_f \frac{s^{3/2}}{4} \sin(\theta) \sin(\phi)
$$

1. These two structures have different azimuthal dependence (orientation between final-state bottom quark and transverse spin direction); they can be separated by weighting the final-state phase-space integral

2. To get a structure odd under A_t we need an imaginary part in an amplitude (our process is even under T, and A_t only differs by $c \rightarrow c^*$). At tree-level this can only come when we are on a particle resonance

$$
S_T \cdot p_q \qquad \Rightarrow \text{P odd, } A_t \text{ even}
$$

$$
\epsilon(p_e, p_{\bar{e}}, p_q, S_T) \qquad \Rightarrow \text{P even, } A_t \text{ odd}
$$

$$
\frac{1}{s-M^2+iM\Gamma}
$$

Application to the ee→**bb process**

$$
N = \frac{1}{2s} \int dLIPS \left\{ \frac{R_{\gamma\gamma}}{s^2} + \frac{R_{ZZ}}{(s - M_Z^2)^2} + \frac{R_{\gamma Z}}{s(s - M_Z^2)} + \frac{R_{\gamma H}(s - M_H^2)}{s[(s - M_H^2)^2 + M_H^2 \Gamma_H^2]} + \frac{R_{ZH}(s - M_H^2) + I_{ZH} M_H \Gamma_H}{(s - M_Z^2)[(s - M_H^2)^2 + M_H^2 \Gamma_H^2]} \right\}
$$

$$
R_{\gamma\gamma} = 96e^4 Q_e^2 Q_q^2 m_e (S_T \cdot p_q)(t - u)
$$

\n
$$
R_{ZZ} = 96m_e (S_p \cdot pb) g_Z^4 g_{ve}^2 (g_{vq}^2 + g_{aq}^2)(t - u) + 192m_e (S_T \cdot p_e)
$$

\n
$$
R_{\gamma Z} = 192e^2 g_Z^2 Q_e Q_q m_e (S_T \cdot p_b) g_{ve} g_{vq}(t - u) + 96e^2 g_Z^2 Q_e Q
$$

\n
$$
R_{\gamma H} = -96e^2 Q_e Q_q y_e y_q (S_T \cdot p_q) m_q
$$

\n
$$
R_{ZH} = -96g_Z^2 g_{ve} g_{vq} y_e y_q (S_T \cdot p_q) s
$$

\n
$$
I_{ZH} = -192g_Z^2 g_{ae} g_{vq} y_e y_q m_q \epsilon (p_e, p_{\bar{e}}, p_q, S_T).
$$

•Study the structure of the asymmetry numerator (DP in this example). Three diagrams contribute at tree-level: s-channel photon, Z-boson, and Higgs exchange.

- $(\theta_q) g_Z^4 g_{ve}g_{ae}g_{vq}g_{aq} s \; ,$ $Q_{\bm{u}} m_{\bm{e}} (S_{\bm{p}} \cdot p_{\bm{q}}) g_{\bm{a}\bm{e}} g_{\bm{a}\bm{q}} s$
- Comes from the imaginary part of the Higgs propagator and is enhanced by a factor of **MH/ΓH.**
- •All terms are suppressed **linearly** by the electron mass; this structure is directly proportional to the electron Yukawa couplings:

$$
u(p)\bar u(p)=\frac{1}{2}(p\!\!\!/\,+\,m)(1+\gamma_5 \rlap{\,/}S_T)
$$

•Can be isolated due to its different azimuthal structure, which follows from the discussion on the previous slide

Rx=real part, Ix=imaginary part

• Study the structure of the asymmetry numerator (DP in this example). Three diagrams contribute at tree-level: s-channel photon, Z-boson, and Higgs exchange.

> $R_{2H}(s-M_{\tau}^2)+L_{2H}M_H\Gamma_H$ $R_{\rm eff}(s-M_{\rm Pl}^2)$ e applied to the ee→WW. It can't inary part of the Higgs gg, as this relies upon quantum **hanced by a factor of MH/ΓH.** een amplitudes and there is no ed **linearly** by the electron nuum ee \rightarrow Z, $\gamma \rightarrow gg$. directly proportional to the Iings:

$$
u(p)\bar u(p)=\frac{1}{2}(p\!\!\!/\,+\,m)(1+\gamma_5 \rlap{\,/}S_T)
$$

•Can be isolated due to its different azimuthal structure, which follows from the discussion on the previous slide

Application to the ee→**bb process**

$$
N = \frac{1}{2s} \int dLIPS \left\{ \frac{R_{\gamma\gamma}}{s^2} + \frac{R_{\gamma\gamma}}{\text{The same idea can be}}
$$
\n
$$
R_{\gamma\gamma} = 96e^4 Q_e^2 Q_q^2 m_e (S_T \cdot \text{R})
$$
\nThe sample of the applied to $\text{e} \rightarrow \text{g}$
\n
$$
R_{ZZ} = 96m_e (S_p \cdot p_b) g_Z^4 g_e^2
$$
\n
$$
R_{\gamma Z} = 192e^2 g_Z^2 Q_e Q_q m_e (S_T \cdot \text{R})
$$
\n
$$
R_{\gamma H} = -96e^2 Q_e Q_q y_e y_q (S_T \cdot \text{R})
$$
\n
$$
R_{ZH} = -96g_Z^2 g_{ve} g_{vq} y_e y_q (S_T \cdot \text{R})
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I_{ZH} = -192g_Z^2 g_{ae} g_{vq} y_e y_q m_q \epsilon (p_e, p_{\bar{e}}, p_q, S_T).
$$

Application to the ee→**bb process**

•The idea: go close to Higgs resonance, weight events with the appropriate angular 2107.02686 to reduce backgrounds. Check private code results vs. Madgraph.

section; in good agreement with S/\sqrt{B} =0.13 in 2107.02686

- factor to select the term linear in the Hee coupling, impose cuts following
	- Default polarization values: $P_T = 80\%$, $P_L=30%$ (we will discuss these more later)
	- •Full ISR, beam spread with 4.1 MeV width
	- Assume 10 ab⁻¹ integrated luminosity and associated statistical errors
	- •Assume 80% pre-selection efficiency for reconstruction of bb system
	- •Default cuts: 5° < θ < 175° , M_{inv} >120 GeV
	- •Consider only continuum bbar background (consistent with results of 2107.02686) Validation; obtained using unpolarized cross

$$
A^{\text{exp}} = \frac{1}{P_{e^-}} \frac{N_N}{N_D} \quad \ \delta A^{\text{exp}} = \frac{\delta P_{e^-}}{P_{e^-}} A^{\text{exp}} \oplus \frac{1}{P_{e^-}} \frac{1}{\sqrt{N_D}}
$$

Definite improvement using transverse polarization; further improvement if the second beam can be longitudinally polarized

Improvements

•We can improve upon this using the properties of the Higgs signal versus the continuum background. Signal goes as sin²θ while background goes as $1+cos^{2}\theta$, so a cut on polar angle helps. Increasing invariant mass cut also increases asymmetry.

> Best case: improve reference significance compared to unpolarized result by a factor of 5

10 MeV from resonance invariant mass cut

Observable e^-e^+ $\rightarrow bb$ DP Second column $(39\%$ $0.41\,$ gives polar angle cut $SP⁰$ (33%) 0.30 in terms of percentage of phase $SP⁺$ (44%) spaced removed 0.58

Applications to ee→**WW process**

 e^-e^+ \rightarrow $WW\rightarrow$ l l *vv*

- •We will focus on the semi-leptonic final state as an example. The ideas are applicable to all three possibilities.
	- •Same polarization, ISR, beam spread as before.
	- Default cuts: $5^{\circ} < \theta < 175^{\circ}$, M_{inv}>120 GeV
	- Assume 100% preselection efficiency
	- •Consider only continuum WW background
	- •Use the azimuthal angle of the reconstructed WW system to project out the Yukawa contribution
	- •Following cuts following 2107.02686 to remove backgrounds from other processes:

 E_{j_1,j_2} <52, 45 GeV; E_l>10 GeV; E_{miss}>20 GeV; m₁₂>12 GeV Note: these do not affect the azimuthal orthogonality condition from above

Validation; obtained using unpolarized cross section; S/\sqrt{B} =0.53 in 2107.02686, likely due to use of BDT rather than simple cuts

Applications to ee→**WW process**

•Why does longitudinal polarization improve the result so significantly? Study the

diagrammatic contributions to the asymmetry numerator.

Large cancellation between hν interferences and other terms removed by the SP+ polarization choice

Improvements

•Like in the bbar are we can further cut on the polar angle and invariant mass to improve the significance.

10 MeV from resonance invariant mass cut

Best case: improve reference significance compared to unpolarized result by a factor of 6

Conclusions

- Recap: use the linear dependence of transverse polarization asymmetries on the electron Yukawa coupling to enhance FCC senstivity to this parameter.
- •Caveats: well known that achieving polarization at an FCC, particularly longitudinal, leads to a decrease in luminosity. Note that a factor of 4 decrease in assumed luminosity would still leads to a WW significance over 1, a factor of 2 better than the inclusive cross section determination.
- •Opportunities: initial results indicate that improvements of significance reaching 5-6 for the bb and WW channels.

