



Linear Standard Model extensions in the SMEFT at one loop and Tera-Z

Based on arXiv: [2412.01759](https://arxiv.org/abs/2412.01759)

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In collaboration with John Gargalionis, Jérémie Quevillon and Tevong You

Outline of this talk

- ▶ EFT paradigms: Bottom-up and Top-down approach
- ▶ Top-down approach: Mapping linear SM extensions to the SMEFT at one-loop => sensitivity to new physics at Tera-Z factory at FCC-ee

EFT Paradigms: Bottom-up approach

- Effective Field Theories (EFTs):

- ▶ Without knowledge of UV-complete theory, any QFT is just an EFT
- ▶ Use effective operators to parametrise new physics at higher energy scale

- Possible EFT deformation: The Standard Model Effective Field Theory (SMEFT)

#Assumptions: SM fields only, SM gauge symmetries are linear-realised, defined in unbroken phase

$$\mathcal{L}^{EFT} = \mathcal{L}_{d=4}^{SM} + \sum_{d, i} \frac{c_i}{\Lambda^{d-4}} \mathcal{O}_{d>4}^i$$

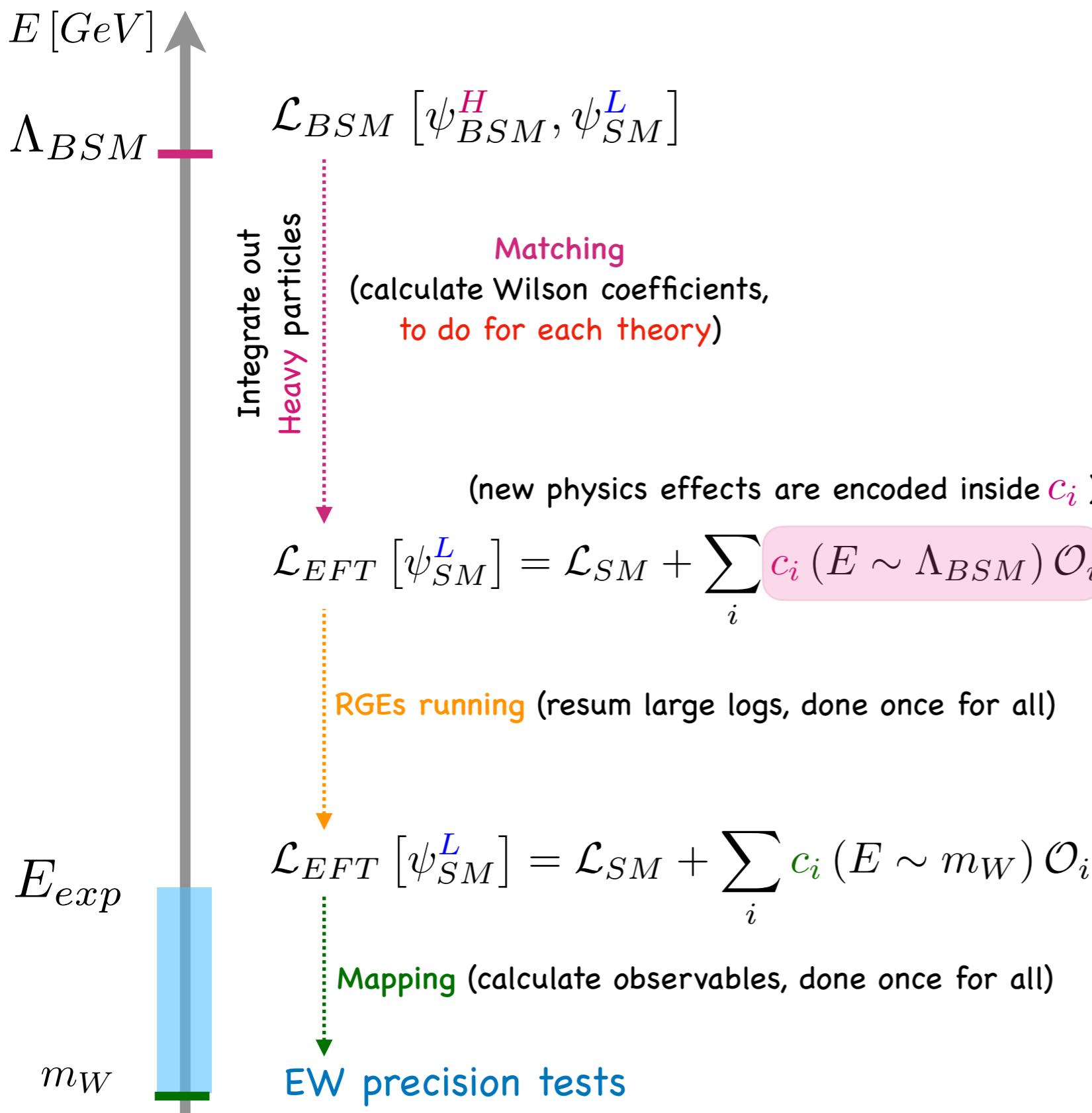
Wilson coefficients
Encapsulate effect of new physics
Cut-off energy scale

Non-renormalizable operators
Made up of gauge-invariant combination of SM fields

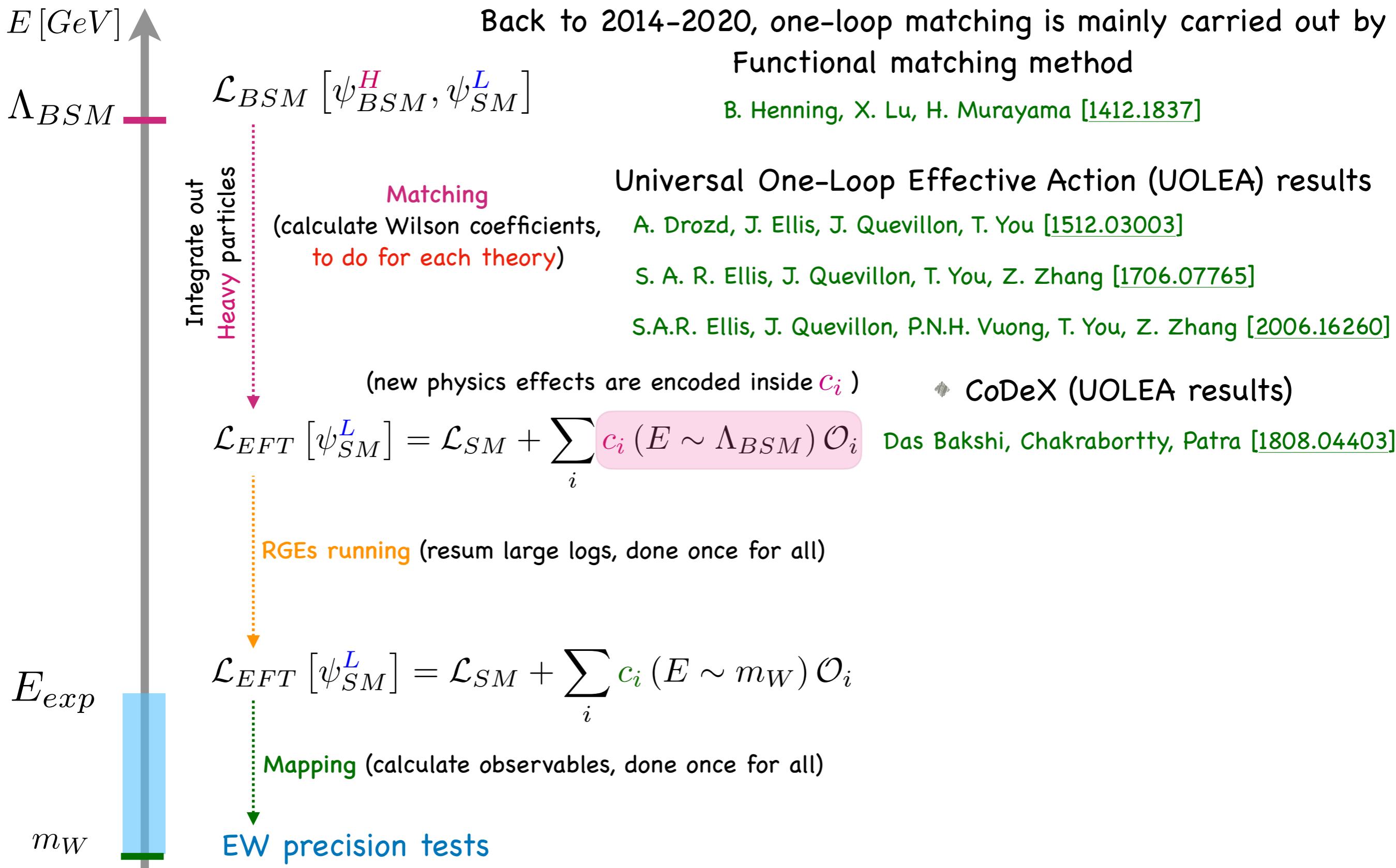
- Main goals:

- ▶ Compare with physical observables: Higgs measurements, Electroweak precision tests, ...
- ▶ Once deviation with SM => BSM theory

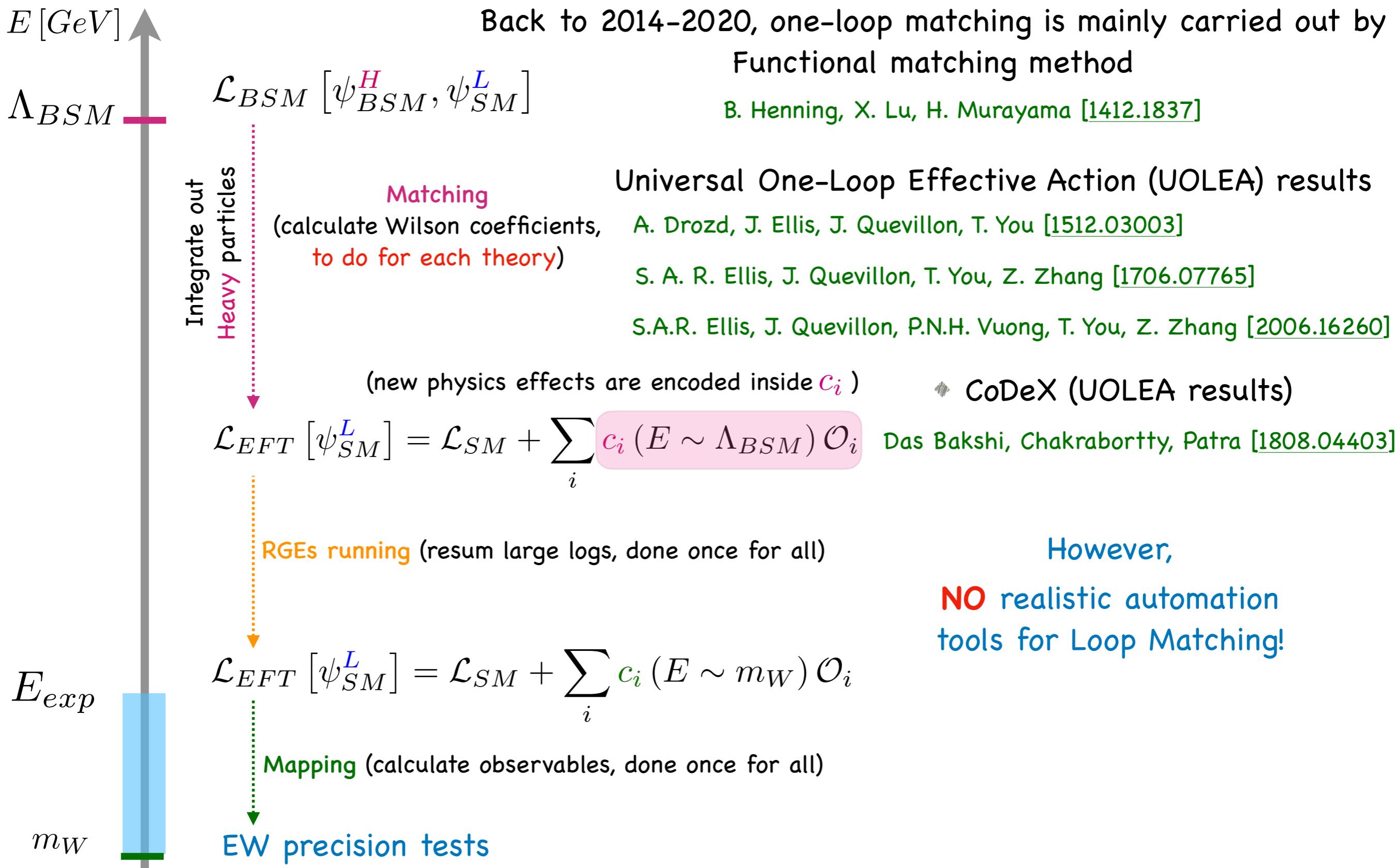
EFT Paradigms: Top-down Approach



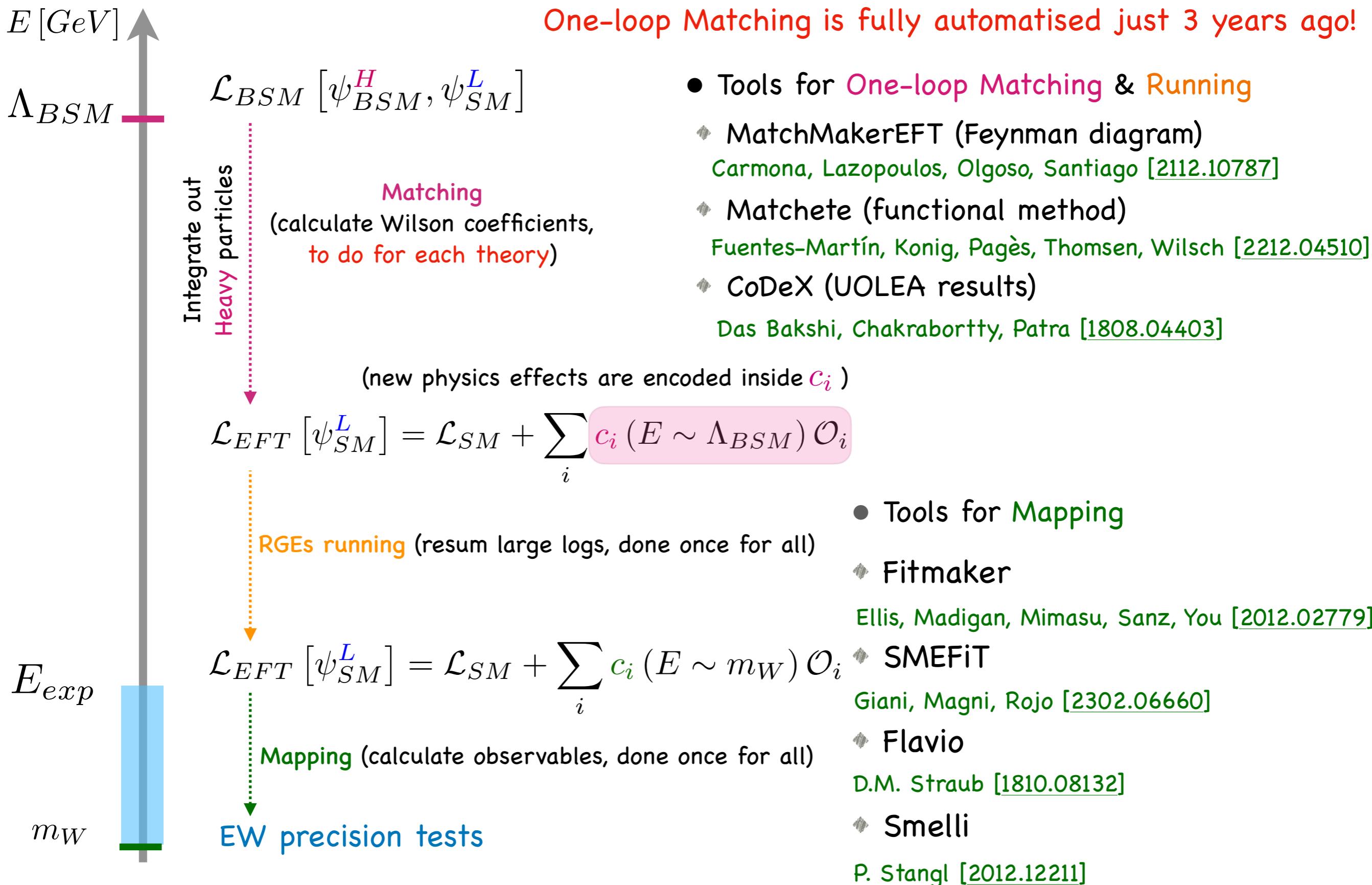
EFT Paradigms: Top-down Approach



EFT Paradigms: Top-down Approach



EFT Paradigms: Top-down Approach



Linear Standard Model extensions

- Granada dictionary:

de Blas, Criado, Pérez-Victoria, Santiago [1711.10391]

- ▶ 32 exotic multiplets (considering scalars and fermions only)
- ▶ Since we will consider loop effects, vector fields extensions are ignored at the moment

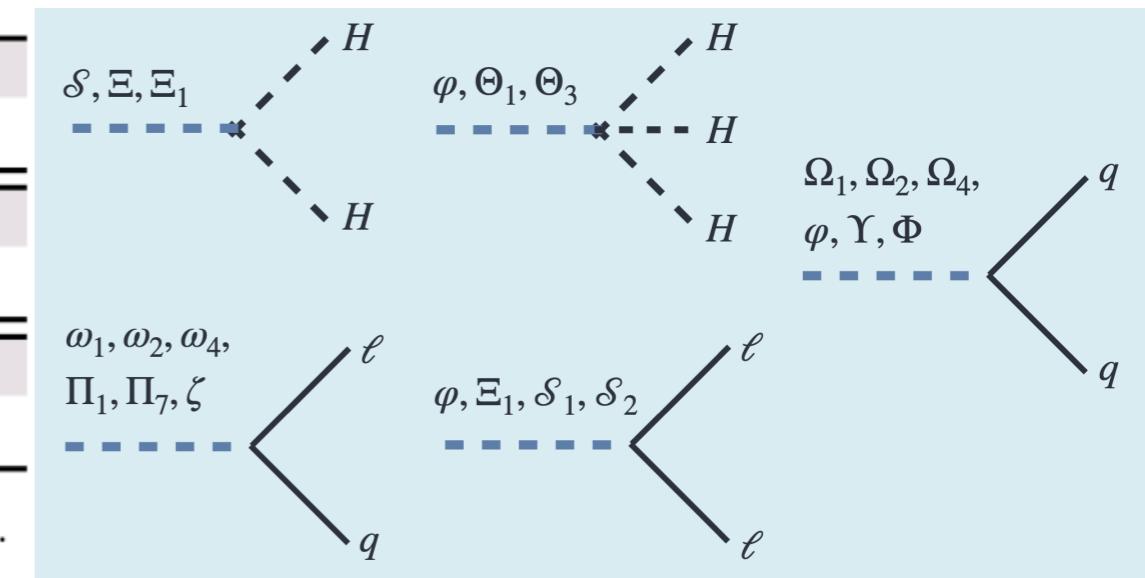
- Scalar extensions:

Name	\mathcal{S}	\mathcal{S}_1	\mathcal{S}_2	φ	Ξ	Ξ_1	Θ_1	Θ_3
Irrep	$(1, 1)_0$	$(1, 1)_1$	$(1, 1)_2$	$(1, 2)_{\frac{1}{2}}$	$(1, 3)_0$	$(1, 3)_1$	$(1, 4)_{\frac{1}{2}}$	$(1, 4)_{\frac{3}{2}}$

Name	ω_1	ω_2	ω_4	Π_1	Π_7	ζ
Irrep	$(3, 1)_{-\frac{1}{3}}$	$(3, 1)_{\frac{2}{3}}$	$(3, 1)_{-\frac{4}{3}}$	$(3, 2)_{\frac{1}{6}}$	$(3, 2)_{\frac{7}{6}}$	$(3, 3)_{-\frac{1}{3}}$

Name	Ω_1	Ω_2	Ω_4	Υ	Φ
Irrep	$(6, 1)_{\frac{1}{3}}$	$(6, 1)_{-\frac{2}{3}}$	$(6, 1)_{\frac{4}{3}}$	$(6, 3)_{\frac{1}{3}}$	$(8, 2)_{\frac{1}{2}}$

Table 1. New scalar bosons contributing to the dimension-six SMEFT at tree level.



- Fermion extensions:

Name	N	E	Δ_1	Δ_3	Σ	Σ_1
Irrep	$(1, 1)_0$	$(1, 1)_{-1}$	$(1, 2)_{-\frac{1}{2}}$	$(1, 2)_{-\frac{3}{2}}$	$(1, 3)_0$	$(1, 3)_{-1}$

Name	U	D	Q_1	Q_5	Q_7	T_1	T_2
Irrep	$(3, 1)_{\frac{2}{3}}$	$(3, 1)_{-\frac{1}{3}}$	$(3, 2)_{\frac{1}{6}}$	$(3, 2)_{-\frac{5}{6}}$	$(3, 2)_{\frac{7}{6}}$	$(3, 3)_{-\frac{1}{3}}$	$(3, 3)_{\frac{2}{3}}$

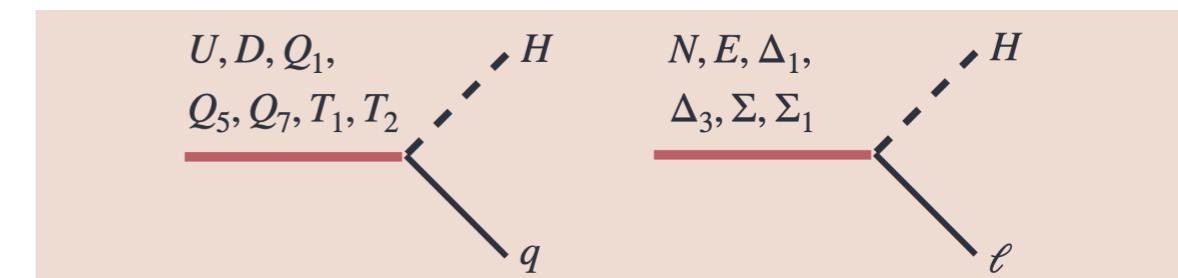
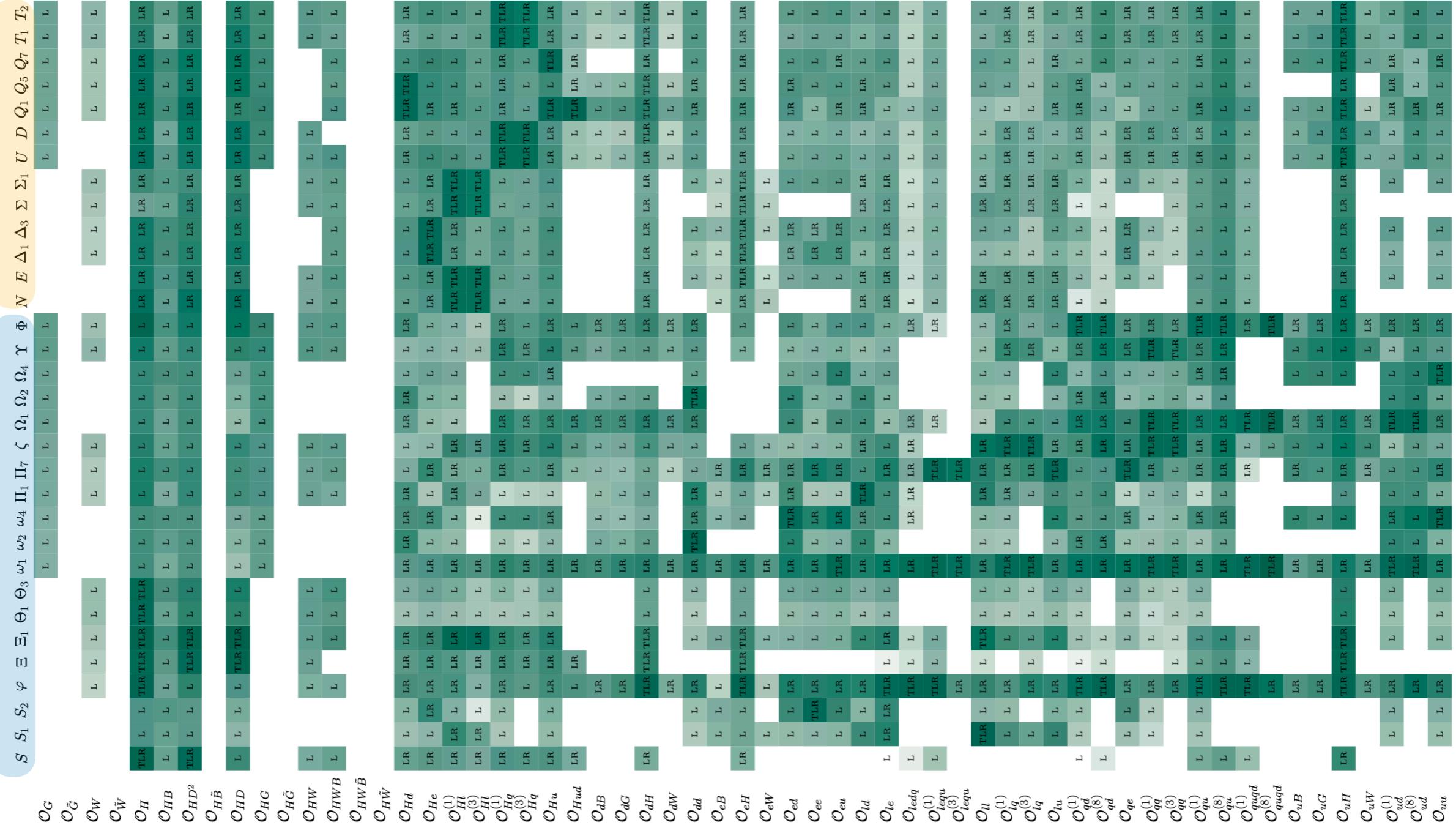


Table 2. New vector-like fermions contributing to the dimension-six SMEFT at tree level.

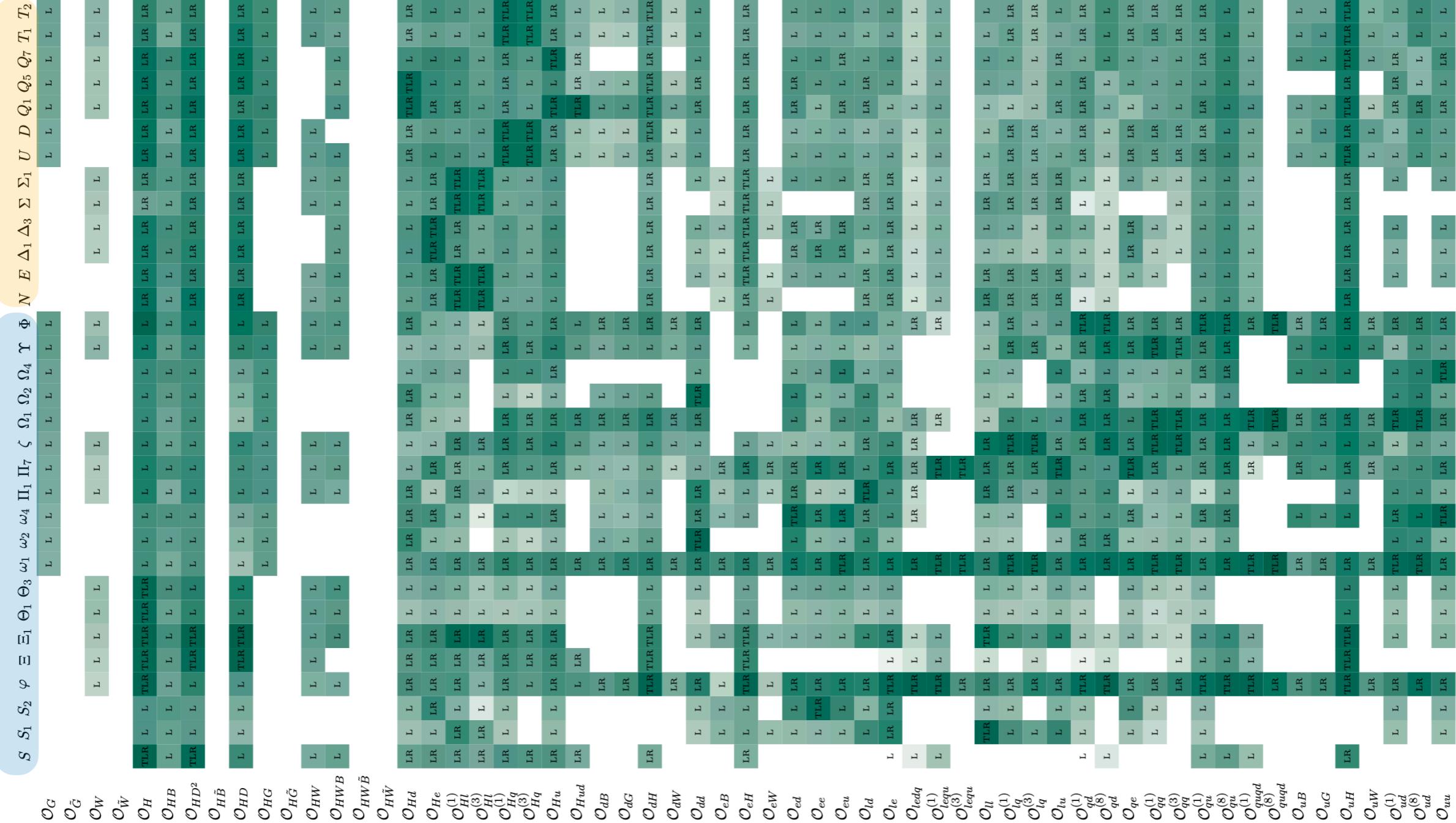
Scalars

Fermions



Scalars

Fermions



Scalars

Fermions

	S	S_1	S_2	φ	Ξ	Ξ_1	Θ_1	Θ_3	ω_1	ω_2	ω_4	Π_1	Π_7	ζ	Ω_1	Ω_2	Ω_4	Υ	Φ	N	E	Δ_1	Δ_3	Σ	Σ_1	U	D	Q_1	Q_5	Q_7	T_1	T_2	
\mathcal{O}_G	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L			
$\mathcal{O}_{\tilde{G}}$																																	
\mathcal{O}_W	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L			
$\mathcal{O}_{\tilde{W}}$																																	
\mathcal{O}_H	TLR	L	L	TLR	TLR	TLR	TLR	L	L	L	L	L	L	L	L	L	L	L	L	LR	LR	LR	LR	LR	LR	LR	LR	LR	LR	LR			
\mathcal{O}_{HB}	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L	L			
\mathcal{O}_{HD^2}	TLR	L	L	TLR	TLR	TLR	TLR	L	L	L	L	L	L	L	L	L	L	L	L	LR	LR	LR	LR	LR	LR	LR	LR	LR	LR	LR			
$\mathcal{O}_{H\bar{B}}$																																	
\mathcal{O}_{HD}	L	L																															
\mathcal{O}_{HG}																																	
$\mathcal{O}_{H\tilde{G}}$																																	
\mathcal{O}_{HW}	L																																
\mathcal{O}_{HWB}	L																																
$\mathcal{O}_{HW\tilde{B}}$																																	
$\mathcal{O}_{H\tilde{W}}$																																	
\mathcal{O}_{Hd}	LR	L																															
\mathcal{O}_{He}	LR	L																															
$\mathcal{O}_{Hl}^{(1)}$	LR	LR																															
$\mathcal{O}_{Hl}^{(3)}$	LR	LR																															
$\mathcal{O}_{Hl}^{(1)}$	LR	L																															
$\mathcal{O}_{Hq}^{(1)}$	LR	L																															
$\mathcal{O}_{Hq}^{(3)}$	LR	L																															
\mathcal{O}_{Hu}	LR	L																															
\mathcal{O}_{Hud}	LR	L																															
\mathcal{O}_{dB}																																	
\mathcal{O}_{dG}																																	
\mathcal{O}_{dH}	LR																																
\mathcal{O}_{dW}	LR	L																															
\mathcal{O}_{eH}	LR	L																															
\mathcal{O}_{eW}																																	
\mathcal{O}_{ed}	L																																
\mathcal{O}_{ee}	L																																
\mathcal{O}_{eu}	L																																
\mathcal{O}_{ld}	L																																
\mathcal{O}_{le}	L																																
\mathcal{O}_{ledq}	L																																
\mathcal{O}_{lequ}	L																																
\mathcal{O}_{ll}	TLR																																
$\mathcal{O}_{lq}^{(1)}$	L																																
$\mathcal{O}_{lq}^{(3)}$	L																																
$\mathcal{O}_{lu}^{(1)}$	L																																
$\mathcal{O}_{qd}^{(8)}$	L																																
$\mathcal{O}_{qd}^{(1)}$	L																																
\mathcal{O}_{qe}	L																																
$\mathcal{O}_{qq}^{(1)}$	L																																
$\mathcal{O}_{qq}^{(3)}$	L																																
\mathcal{O}_{uB}	LR																																
\mathcal{O}_{uG}	LR																																
\mathcal{O}_{uH}	LR	</																															

- T: Tree-level generated
 - L: One-loop generated
 - R: RGEs induced

Scalars

Matching RGEs running

Fermions

U	D	Q_1	Q_5	Q_7	T_1	T_2
L	L	L	L	L	L	L
L	L	L	L	L	L	L

L	L	L	L	L	L	L
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Table 1. Summary of the results of the simulation study.

xamp

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e-loc
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$$g_x \rightarrow \begin{pmatrix} a \\ b \end{pmatrix}$$

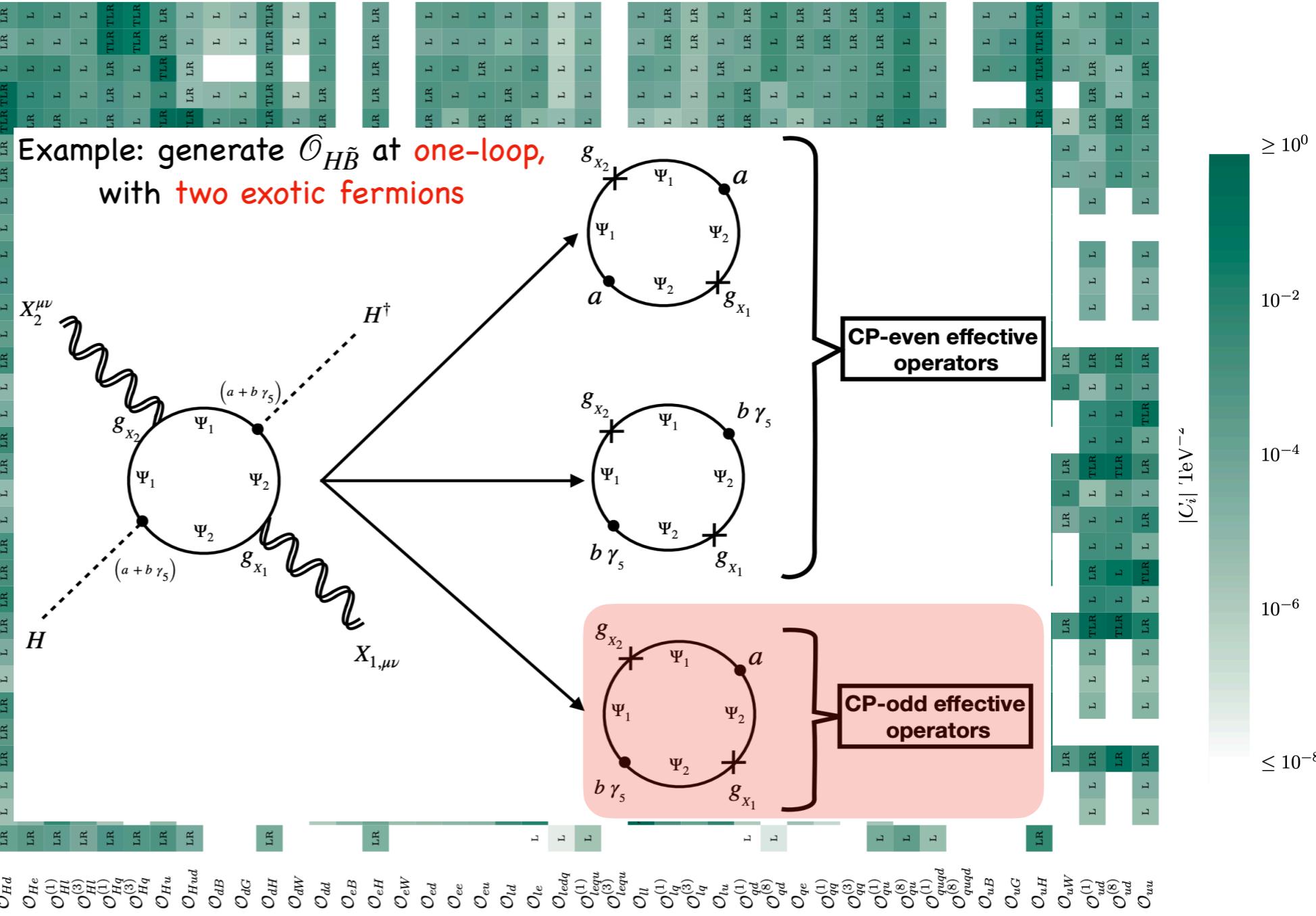
LR	L	LR	L	L
UR	LR	L	LR	LR
U	L	L	L	L

L	LR
L	LR
L	LR

**even even
operator**



Example: generate $\mathcal{O}_{H\tilde{B}}$ at one-loop
with two exotic fermions



Electroweak precision observables (EWPOs)

► EWPOs at the Z-pole:

$$\{\Gamma_Z, \sigma_{\text{had}}^0, R_l^0, A_l, R_b^0, A_{FB}^b\}$$

► 10 operators contributing to these EWPOs at leading order in the SMEFT:

$$\{\mathcal{O}_{HWB}, \mathcal{O}_{HD}, \mathcal{O}_{ll}, \mathcal{O}_{Hl}^{(3)}, \mathcal{O}_{Hl}^{(1)}, \mathcal{O}_{He}, \mathcal{O}_{Hq}^{(3)}, \mathcal{O}_{Hq}^{(1)}, \mathcal{O}_{Hu}, \mathcal{O}_{Hd}\}$$

Electroweak precision observables (EWPOs)

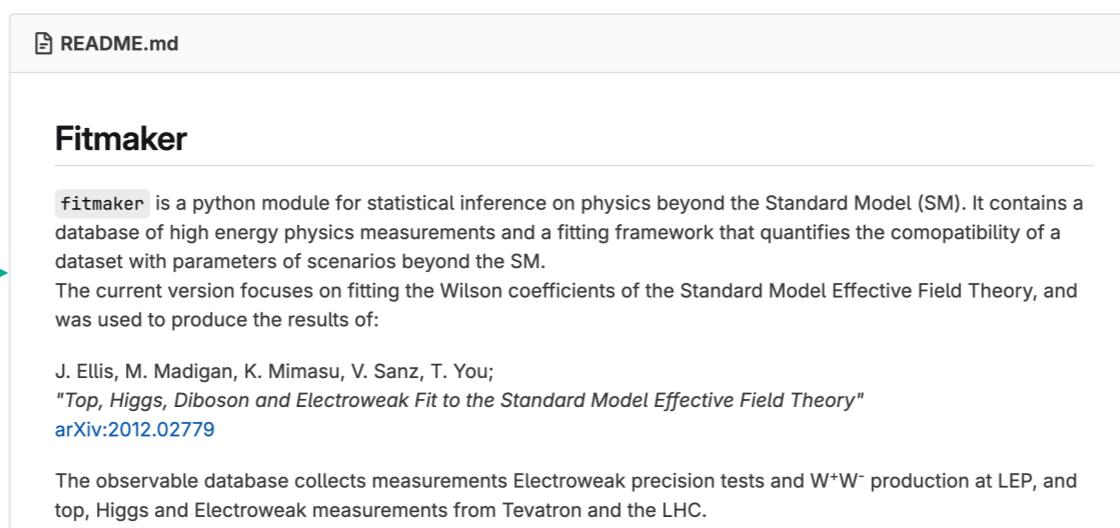
► EWPOs at the Z-pole:

$$\{\Gamma_Z, \sigma_{\text{had}}^0, R_l^0, A_l, R_b^0, A_{FB}^b\}$$

► 10 operators contributing to these EWPOs at leading order in the SMEFT:

$$\{\mathcal{O}_{HWB}, \mathcal{O}_{HD}, \mathcal{O}_{ll}, \mathcal{O}_{Hl}^{(3)}, \mathcal{O}_{Hl}^{(1)}, \mathcal{O}_{He}, \mathcal{O}_{Hq}^{(3)}, \mathcal{O}_{Hq}^{(1)}, \mathcal{O}_{Hu}, \mathcal{O}_{Hd}\}$$

UV models matched
on SMEFT via
MatchMakerEFT



J. Ellis, M. Madigan, K. Mimasu, V. Sanz, T. You [2012.02779]

MatchMakerParser package: translate the matching results (Mathematica expressions) from MatchMakerEFT into a Python class

Matching> RGEs running> Mapping

Further detail see Ref. 2412.01759

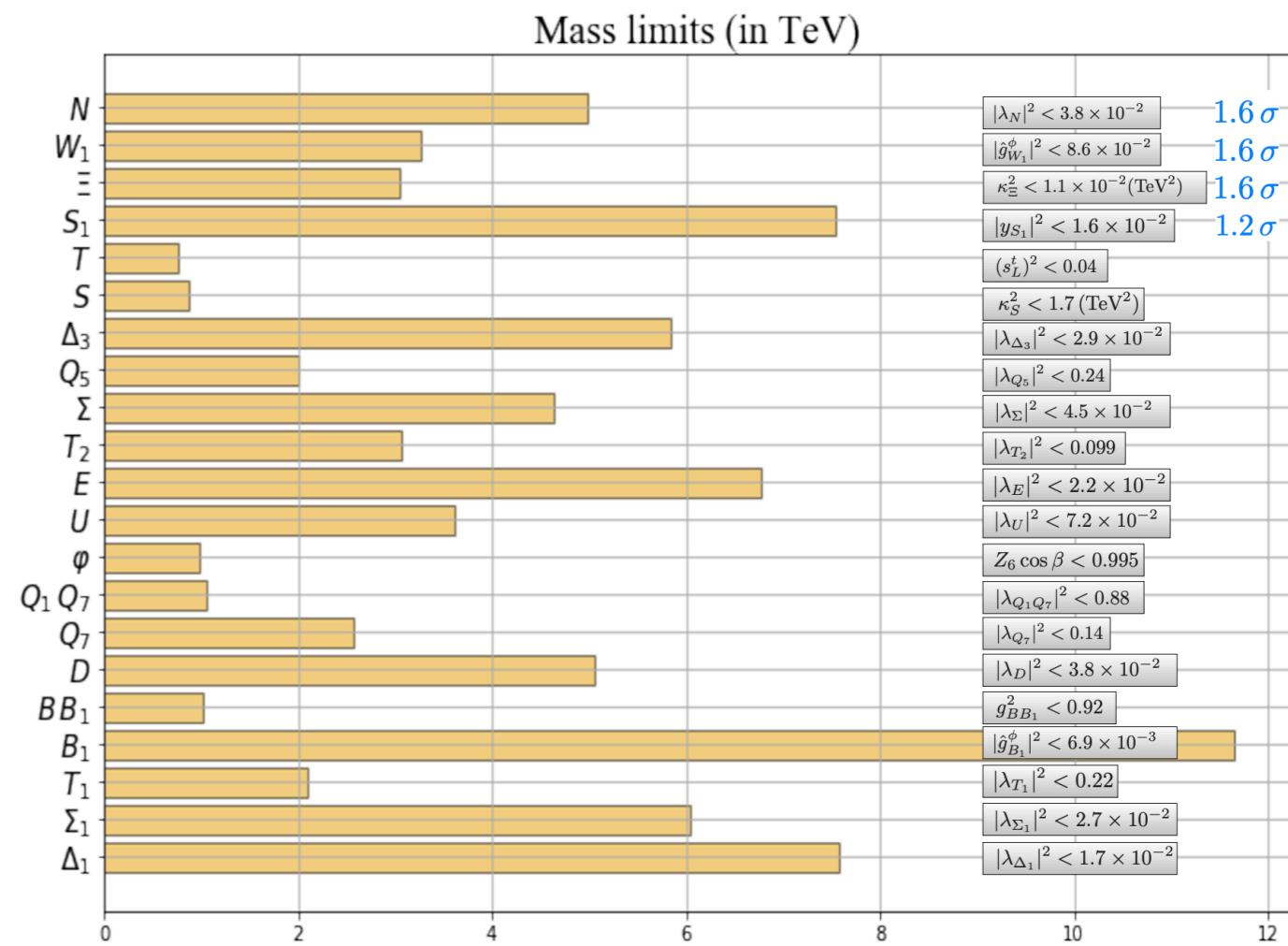
Electroweak precision observables (EWPOs)

At tree-level

Only 16 out of 32 exotic multiplets (scalar & fermion) are constrained by EWPOs

Model	C_{HD}	C_{ll}	C_{Hl}^3	C_{Hl}^1	C_{He}	$C_{H\square}$	$C_{\tau H}$	C_{tH}	C_{bH}
S						$-\frac{1}{2}$			
S_1		1							
Σ			$\frac{1}{16}$	$\frac{3}{16}$			$\frac{y_\tau}{4}$		
Σ_1			$-\frac{1}{16}$	$-\frac{3}{16}$			$\frac{y_\tau}{8}$		
N			$-\frac{1}{4}$	$\frac{1}{4}$					
E			$-\frac{1}{4}$	$-\frac{1}{4}$			$\frac{y_\tau}{2}$		
Δ_1					$\frac{1}{2}$		$\frac{y_\tau}{2}$		
Δ_3					$-\frac{1}{2}$		$\frac{y_\tau}{2}$		
B_1	1					$-\frac{1}{2}$	$-\frac{y_\tau}{2}$	$-\frac{y_t}{2}$	$-\frac{y_b}{2}$
Ξ	-2					$\frac{1}{2}$	y_τ	y_t	y_b
W_1	$-\frac{1}{4}$					$-\frac{1}{8}$	$-\frac{y_\tau}{8}$	$-\frac{y_t}{8}$	$-\frac{y_b}{8}$
φ							$-y_\tau$	$-y_t$	$-y_b$
$\{B, B_1\}$						$-\frac{3}{2}$	$-y_\tau$	$-y_t$	$-y_b$
$\{Q_1, Q_7\}$								y_t	

Model	C_{Hq}^3	C_{Hq}^1	$(C_{Hq}^3)_{33}$	$(C_{Hq}^1)_{33}$	C_{Hu}	C_{Hd}	C_{tH}	C_{bH}	
U	$-\frac{1}{4}$	$\frac{1}{4}$	$-\frac{1}{4}$	$\frac{1}{4}$			$\frac{y_t}{2}$		
D	$-\frac{1}{4}$	$-\frac{1}{4}$	$-\frac{1}{4}$	$-\frac{1}{4}$			$\frac{y_b}{2}$		
Q_5						$-\frac{1}{2}$		$\frac{y_b}{2}$	
Q_7					$\frac{1}{2}$		$\frac{y_t}{2}$		
T_1	$-\frac{1}{16}$	$-\frac{3}{16}$	$-\frac{1}{16}$	$-\frac{3}{16}$			$\frac{y_t}{4}$	$\frac{y_b}{8}$	
T_2	$-\frac{1}{16}$	$\frac{3}{16}$	$-\frac{1}{16}$	$\frac{3}{16}$			$\frac{y_t}{8}$	$\frac{y_b}{4}$	
T			$-\frac{1}{2} \frac{M_T^2}{v^2}$	$\frac{1}{2} \frac{M_T^2}{v^2}$			$y_t \frac{M_T^2}{v^2}$		

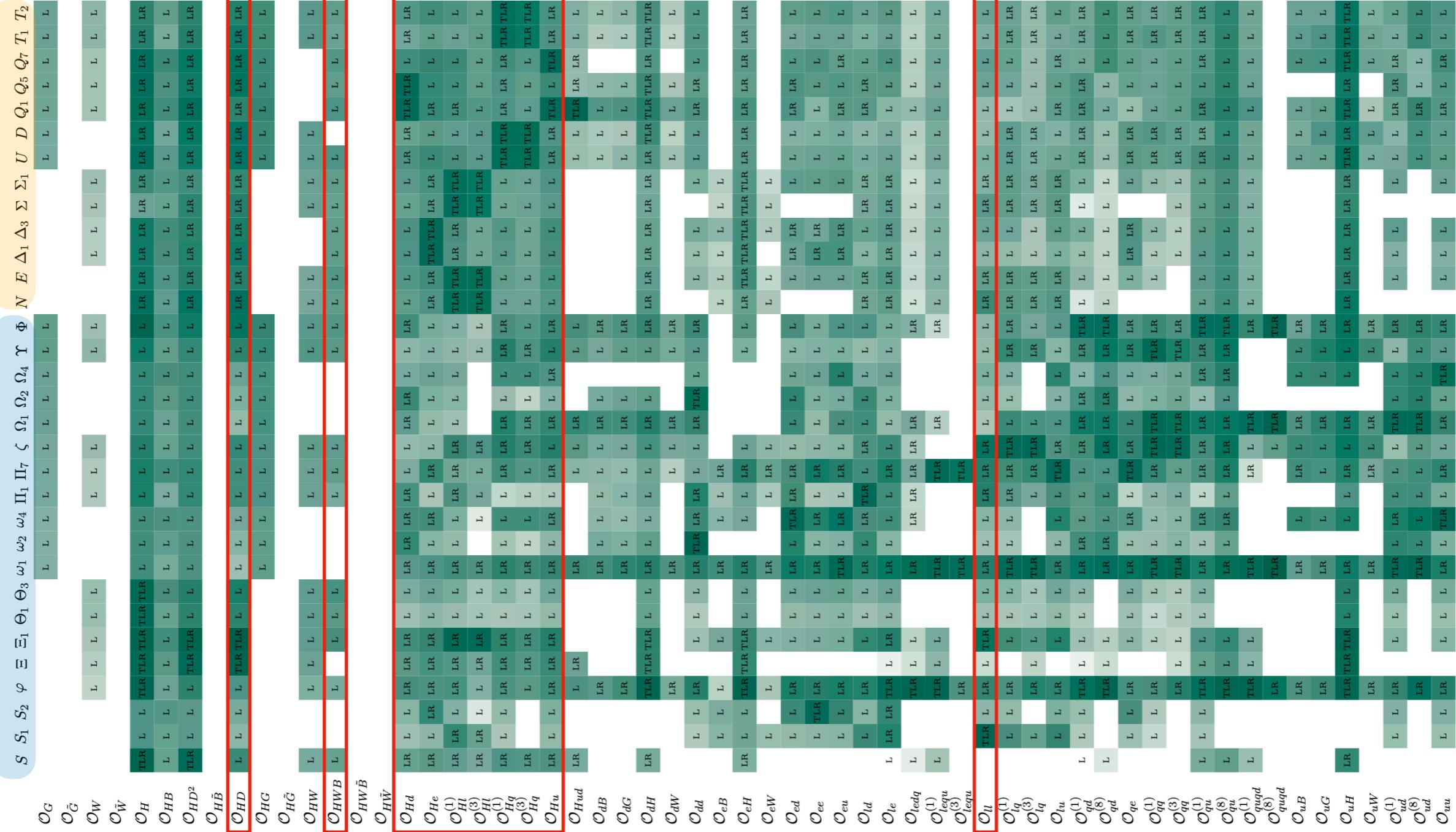


Matching \longrightarrow RGEs running \longrightarrow Mapping

J. Ellis, M. Madigan, K. Mimasu, V. Sanz, T. You [2012.02779]
15

Scalars

Fermions



Electroweak precision observables (EWPOs)

► EWPOs at the Z-pole:

S and T parameters

Example: which model received stronger constraints from finite one-loop matching?

	\mathcal{O}_{HWB}	\mathcal{O}_{HD}	\mathcal{O}_{ll}	$\mathcal{O}_{Hl}^{(3)}$	$\mathcal{O}_{Hl}^{(1)}$	\mathcal{O}_{He}	$\mathcal{O}_{Hq}^{(3)}$	$\mathcal{O}_{Hq}^{(1)}$	\mathcal{O}_{Hu}	\mathcal{O}_{Hd}
S	κ_S	κ_S		κ_S						
S_1			y_{S_1}	y_{S_1}	y_{S_1}	y_{S_1}				
S_2				y_{S_2}	y_{S_2}	y_{S_2}				
φ	$\hat{\lambda}'_\varphi$	$\hat{\lambda}'_\varphi$	$y_{\varphi e}$	$y_{\varphi e}$	$y_{\varphi e}$	$y_{\varphi e}$	$y_{\varphi d}, y_{\varphi u}$			
Ξ		κ_Ξ, λ_Ξ		κ_Ξ						
Ξ_1	$\kappa_{\Xi_1}, \lambda'_{\Xi_1}$	$\kappa_{\Xi_1}, \lambda_{\Xi_1}$	y_{Ξ_1}	$\kappa_{\Xi_1}, y_{\Xi_1}$	$\kappa_{\Xi_1}, y_{\Xi_1}$	$\kappa_{\Xi_1}, y_{\Xi_1}$	κ_{Ξ_1}	κ_{Ξ_1}	κ_{Ξ_1}	κ_{Ξ_1}
Θ_1	$\hat{\lambda}'_{\Theta_1}$	$\hat{\lambda}''_{\Theta_1}, \hat{\lambda}'_{\Theta_1}$								
Θ_3	$\hat{\lambda}'_{\Theta_3}$	$\hat{\lambda}'_{\Theta_3}, \lambda_{\Theta_3}$								
ω_1			$y_{q\ell\omega_1}$	$y_{eu\omega_1}, y_{q\ell\omega_1}$	$y_{eu\omega_1}, y_{q\ell\omega_1}$	$y_{eu\omega_1}, y_{q\ell\omega_1}$	$y_{du\omega_1}, y_{eu\omega_1}$	$y_{du\omega_1}, y_{eu\omega_1}$	$y_{du\omega_1}, y_{eu\omega_1}$	$y_{du\omega_1}, y_{q\ell\omega_1}$
ω_2							$y_{q\ell\omega_1}, y_{qq\omega_1}$	$y_{q\ell\omega_1}, y_{qq\omega_1}$	$y_{q\ell\omega_1}, y_{qq\omega_1}$	y_{ω_2}
ω_4				$y_{ed\omega_4}$	$y_{ed\omega_4}$	$y_{ed\omega_4}$	$y_{ed\omega_4}, y_{uu\omega_4}$	$y_{ed\omega_4}, y_{uu\omega_4}$	$y_{uu\omega_4}$	$y_{ed\omega_4}$
Π_1	$\hat{\lambda}'_{\Pi_1}$	$\hat{\lambda}'_{\Pi_1}$	y_{Π_1}	y_{Π_1}	y_{Π_1}	y_{Π_1}	y_{Π_1}	y_{Π_1}		y_{Π_1}
Π_7	$\hat{\lambda}'_{\Pi_7}$	$\hat{\lambda}'_{\Pi_7}$	$y_{\ell u\Pi_7}$	$y_{eq\Pi_7}, y_{\ell u\Pi_7}$	$y_{eq\Pi_7}, y_{\ell u\Pi_7}$	$y_{eq\Pi_7}, y_{\ell u\Pi_7}$	$y_{eq\Pi_7}, y_{\ell u\Pi_7}$	$y_{eq\Pi_7}, y_{\ell u\Pi_7}$	$y_{eq\Pi_7}, y_{\ell u\Pi_7}$	$y_{eq\Pi_7}$
ζ	$\hat{\lambda}'_\zeta$	$\hat{\lambda}'_\zeta$	$y_{q\ell\zeta}$	$y_{q\ell\zeta}$	$y_{q\ell\zeta}$	$y_{q\ell\zeta}$	$y_{q\ell\zeta}, y_{qq\zeta}$	$y_{q\ell\zeta}, y_{qq\zeta}$	$y_{q\ell\zeta}, y_{qq\zeta}$	$y_{q\ell\zeta}, y_{qq\zeta}$
Ω_1							$y_{qq\Omega_1}, y_{ud\Omega_1}$	$y_{qq\Omega_1}, y_{ud\Omega_1}$	$y_{qq\Omega_1}, y_{ud\Omega_1}$	$y_{qq\Omega_1}, y_{ud\Omega_1}$
Ω_2							y_{Ω_2}	y_{Ω_2}		y_{Ω_2}
Ω_4							y_{Ω_4}	y_{Ω_4}	y_{Ω_4}	
Υ	$\hat{\lambda}'_\Upsilon$	$\hat{\lambda}'_\Upsilon$					y_Υ	y_Υ	y_Υ	
Φ	$\hat{\lambda}'_\Phi$	$\hat{\lambda}'_\Phi, \hat{\lambda}''_\Phi$					$y_{qd\Phi}, y_{qu\Phi}$	$y_{qd\Phi}, y_{qu\Phi}$	$y_{qd\Phi}, y_{qu\Phi}$	$y_{qd\Phi}, y_{qu\Phi}$
N	λ_N	λ_N	λ_N	λ_N	λ_N	λ_N	λ_N	λ_N	λ_N	λ_N
E	λ_E	λ_E	λ_E	λ_E	λ_E	λ_E	λ_E	λ_E	λ_E	λ_E
Δ_1	λ_{Δ_1}	λ_{Δ_1}		λ_{Δ_1}						
Δ_3	λ_{Δ_3}	λ_{Δ_3}		λ_{Δ_3}						
Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ	λ_Σ
Σ_1	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}	λ_{Σ_1}
U	λ_U	λ_U		λ_U						
D		λ_D		λ_D						
Q_1	$\lambda_{dQ_1}, \lambda_{uQ_1}$	$\lambda_{dQ_1}, \lambda_{uQ_1}$		$\lambda_{dQ_1}, \lambda_{uQ_1}$						
Q_5	λ_{Q_5}	λ_{Q_5}		λ_{Q_5}						
Q_7	λ_{Q_7}	λ_{Q_7}		λ_{Q_7}						
T_1	λ_{T_1}	λ_{T_1}		λ_{T_1}						
T_2	λ_{T_2}	λ_{T_2}		λ_{T_2}						

Table 6: The table shows the exotic couplings appearing in the matching expressions for the operators shown. Coupling constants appearing at tree level are shown boxed. Flavour indices have been suppressed.

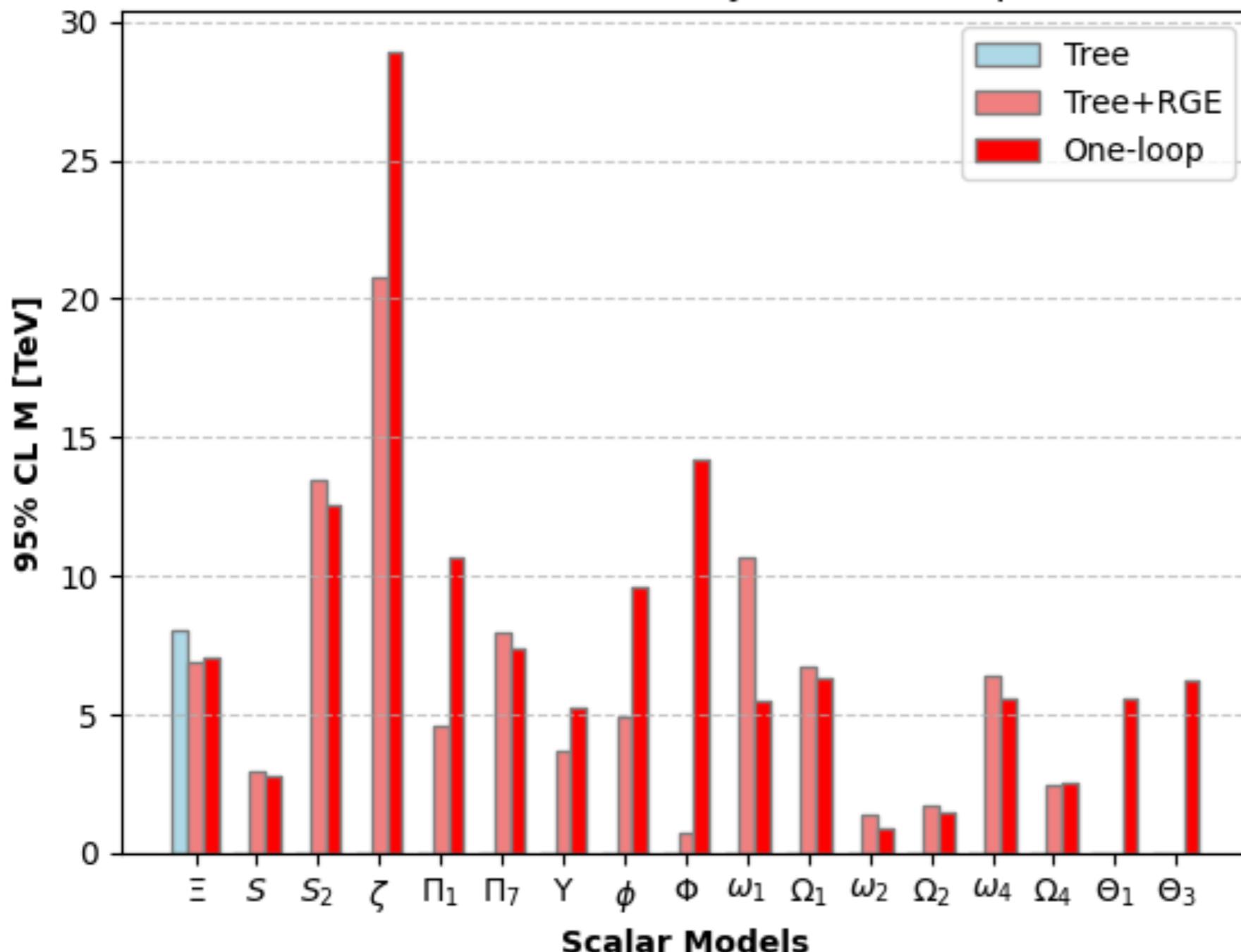
Matching → RGEs running → Mapping

Tera-Z sensitivity to linear SM extensions

► Scalars

See also Mathew's plenary talk on Monday
and Lukas's talk on Tuesday

Mass 95% CL sensitivity at FCC-ee Z pole



Name	Irrep	Examples
\mathcal{S}	$(1, 1)_0$	Singlet scalar [78]
\mathcal{S}_1	$(1, 1)_1$	Zee model [79, 80]
\mathcal{S}_2	$(1, 1)_2$	Zee–Babu model [80, 81]
φ	$(1, 2)_{\frac{1}{2}}$	2HDM [82]
Ξ	$(1, 3)_0$	Georgi–Machacek [83, 84]
Ξ_1	$(1, 3)_1$	Type-II seesaw [85–89]
Θ_1	$(1, 4)_{\frac{1}{2}}$	Quartet [90–92]
Θ_3	$(1, 4)_{\frac{3}{2}}$	Quartet [90, 91, 93]
ω_1	$(3, 1)_{-\frac{1}{3}}$	Leptoquark S_1 [94]
ω_2	$(3, 1)_{\frac{2}{3}}$	Leptoquark \bar{S}_1 [94]
ω_4	$(3, 1)_{-\frac{4}{3}}$	Leptoquark \tilde{S}_1 [94]
Π_1	$(3, 2)_{\frac{1}{6}}$	Leptoquark \tilde{R}_2 [94]
Π_7	$(3, 2)_{\frac{7}{6}}$	Leptoquark R_2 [94]
ζ	$(3, 3)_{-\frac{1}{3}}$	Leptoquark S_3 [94]
Ω_1	$(6, 1)_{\frac{1}{3}}$	Diquark [95]
Ω_2	$(6, 1)_{-\frac{2}{3}}$	Diquark [95–97]
Ω_4	$(6, 1)_{\frac{4}{3}}$	Diquark [95, 96]
Υ	$(6, 3)_{\frac{1}{3}}$	Diquark [95, 96]
Φ	$(8, 2)_{\frac{1}{2}}$	Manohar–Wise [98]

Matching \longrightarrow RGEs running \longrightarrow Mapping

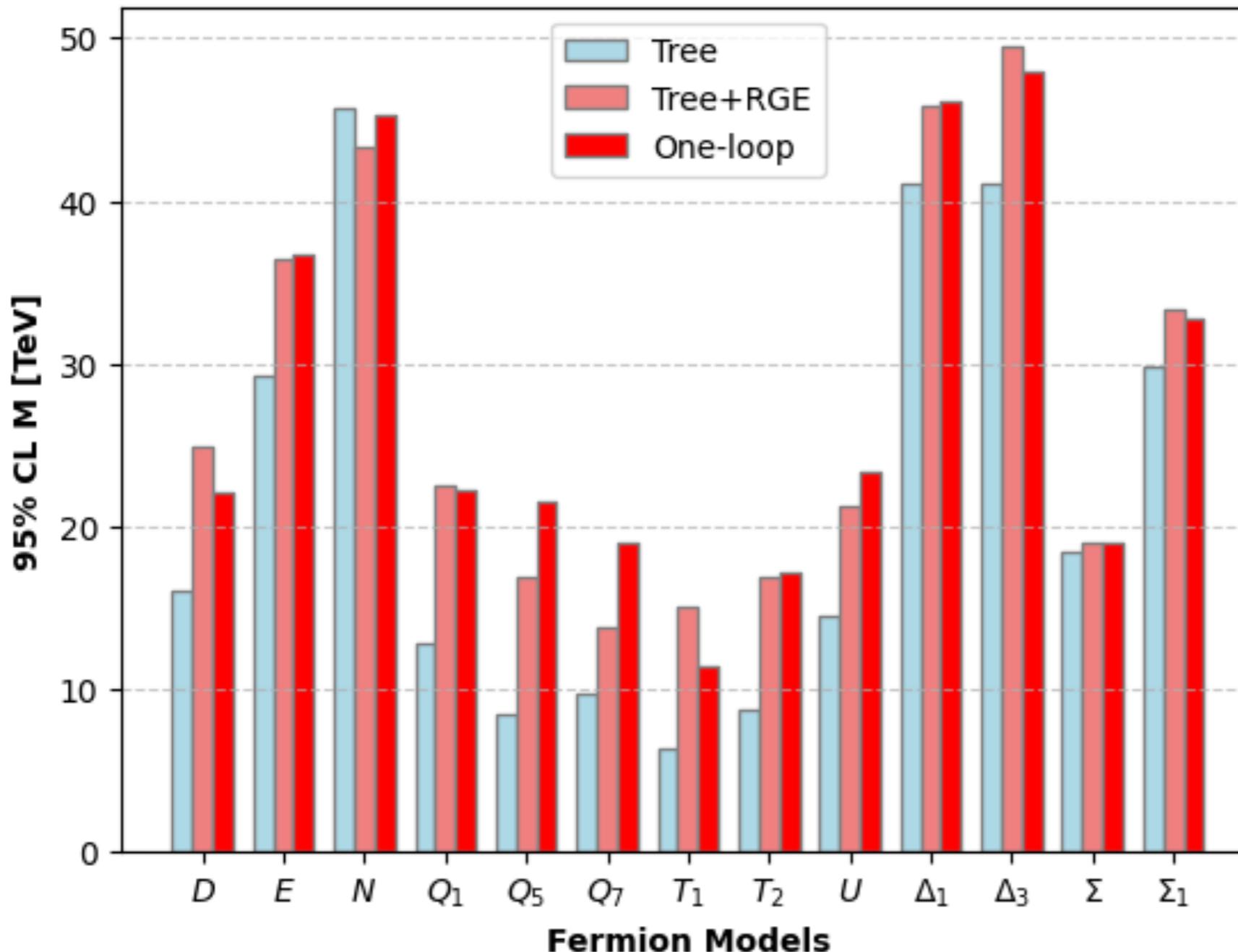
See also Allwicher, McCullough, Renner [2408.03992]

Tera-Z sensitivity to linear SM extensions

► Fermions

See also Mathew's plenary talk on Monday
and Lukas's talk on Tuesday

Mass 95% CL sensitivity at FCC-ee Z pole



Name	Irrep	Examples
N	$(1, 1)_0$	Type-I seesaw [99–103]
E	$(1, 1)_{-1}$	Singlet VLL [104, 105]
Δ_1	$(1, 2)_{-\frac{1}{2}}$	Doublet VLL [104, 105]
Δ_3	$(1, 2)_{-\frac{3}{2}}$	Doublet VLL
Σ	$(1, 3)_0$	Type-III seesaw [106]
Σ_1	$(1, 3)_{-1}$	Triplet VLL [90, 93]
U	$(3, 1)_{\frac{2}{3}}$	Singlet VLQ, T [107]
D	$(3, 1)_{-\frac{1}{3}}$	Singlet VLQ, B [107]
Q_1	$(3, 2)_{\frac{1}{6}}$	Doublet VLQ, (TB) [107]
Q_5	$(3, 2)_{-\frac{5}{6}}$	Doublet VLQ, (BY) [107]
Q_7	$(3, 2)_{\frac{7}{6}}$	Doublet VLQ, (XT) [107]
T_1	$(3, 3)_{-\frac{1}{3}}$	Triplet VLQ
T_2	$(3, 3)_{\frac{2}{3}}$	Triplet VLQ

Matching → RGEs running → Mapping

See also Allwicher, McCullough, Renner [2408.03992]

Summary

- ▶ Computational tools are essential for both EFT bottom-up and top-down approach.
- ▶ We use MatchMakerEFT and our MatchMakerParser to present our mapping for the linear SM extensions to the SMEFT at one loop => An overview of the relevant phenomenology for each model and operator of interest.
- ▶ Our results strengthen the case for the potential of a Tera-Z run to constrain a wide range of new-physics models.