

Transition Edge Sensors: From First Principles to Applications in Particle Detection and Quantum Technologies

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Postdoctoral researcher at Helmut-Schmidt-Universität (HSU)



HELMUT SCHMIDT
UNIVERSITÄT

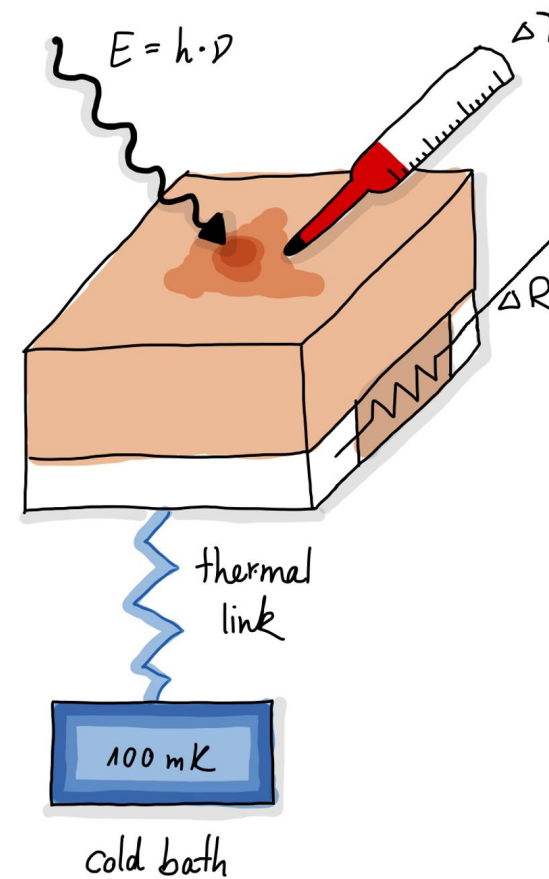
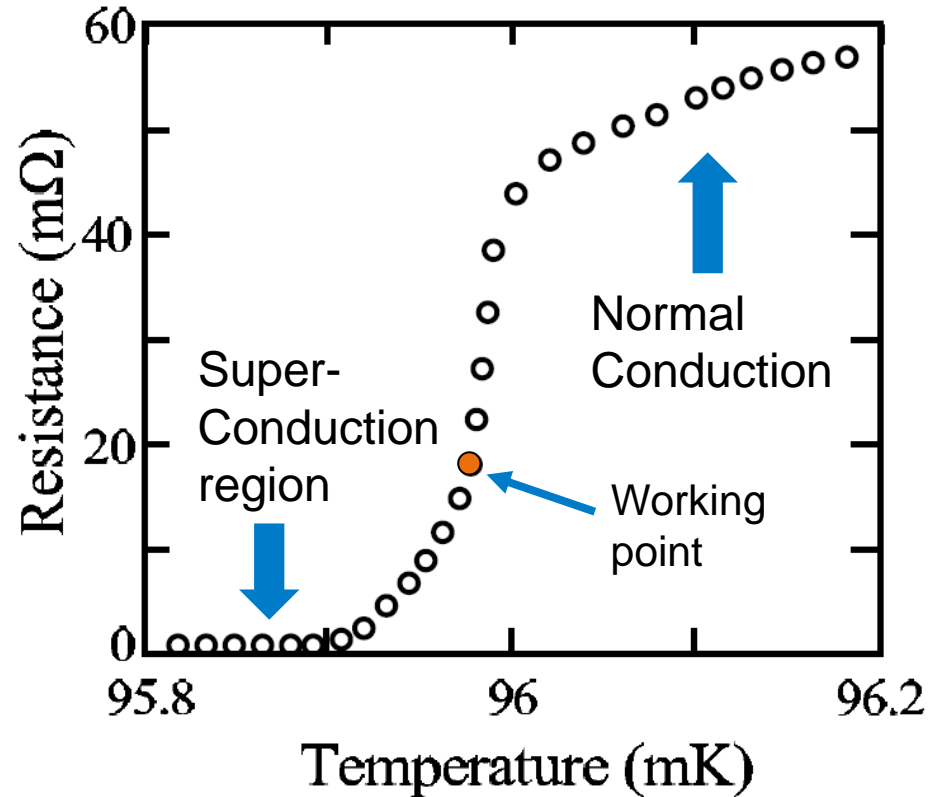
Universität der Bundeswehr Hamburg



Outline

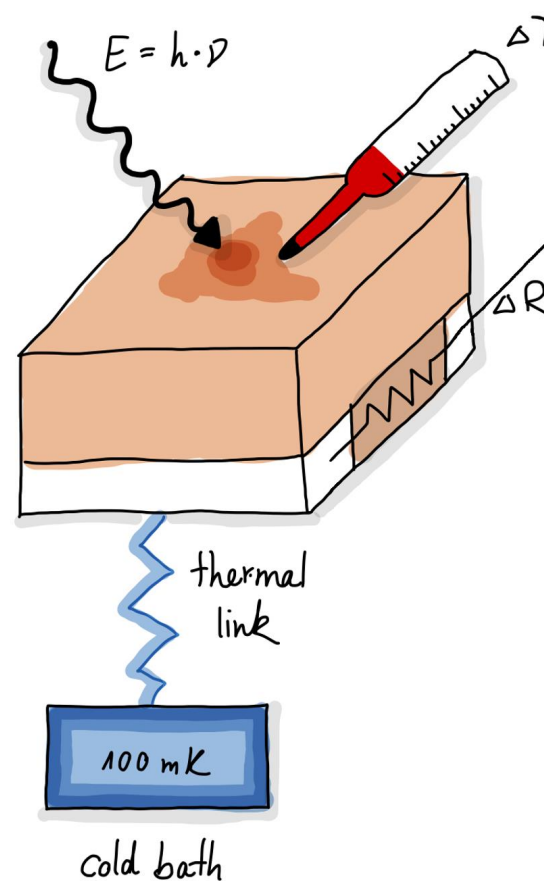
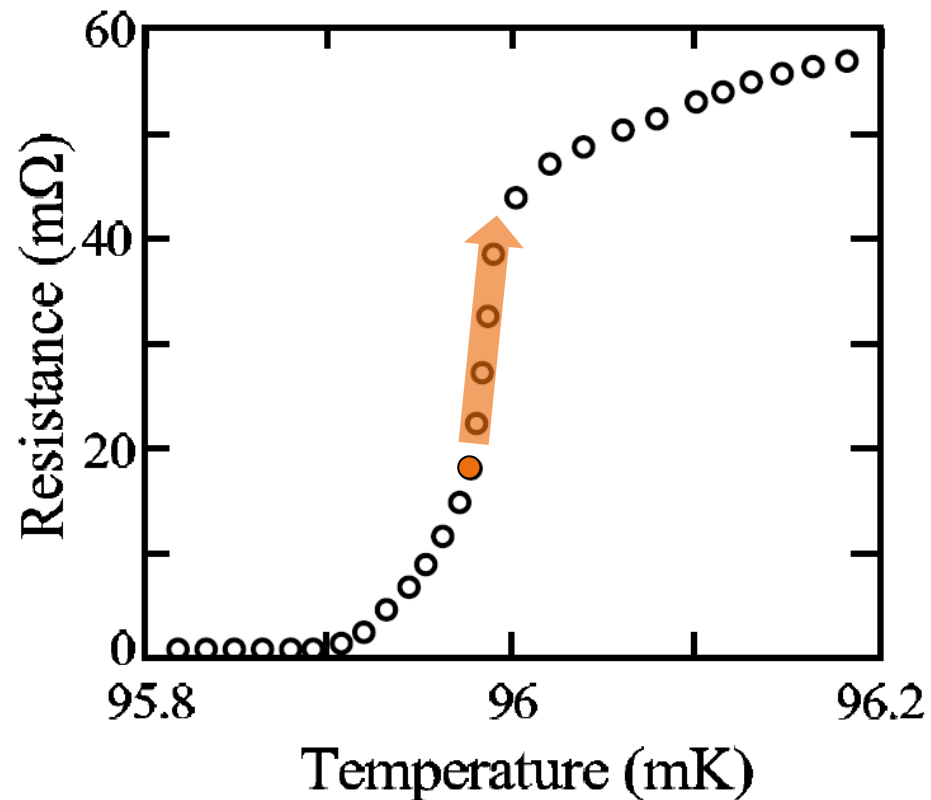
- Beginning of Transition Edge Sensors (TES)
- TES physics
- High energy photon detection
- Visible to IR photon detection
- Applications in Quantum technologies

Transition Edge Sensor (TES)



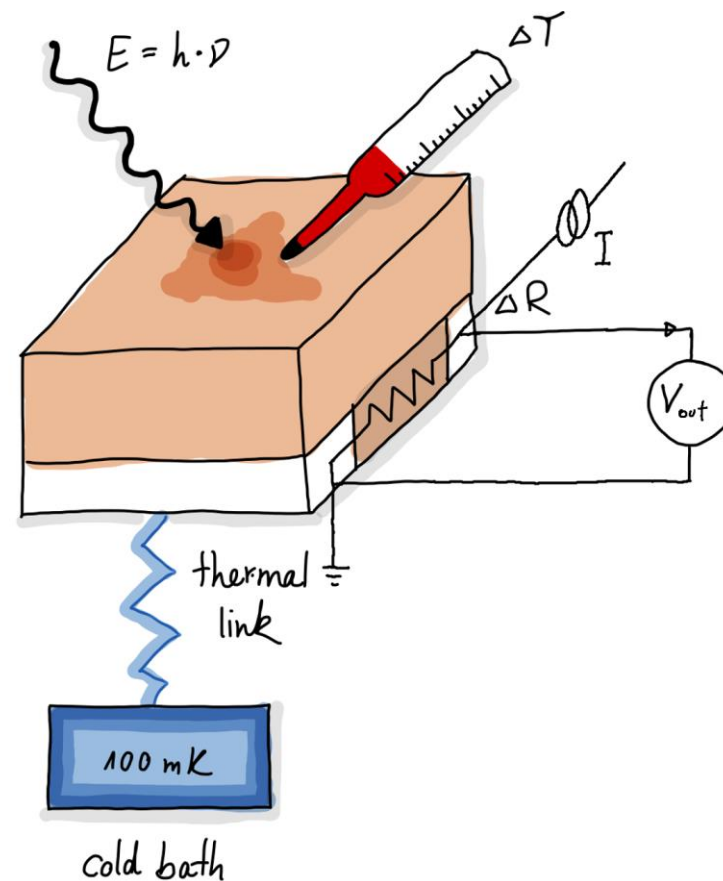
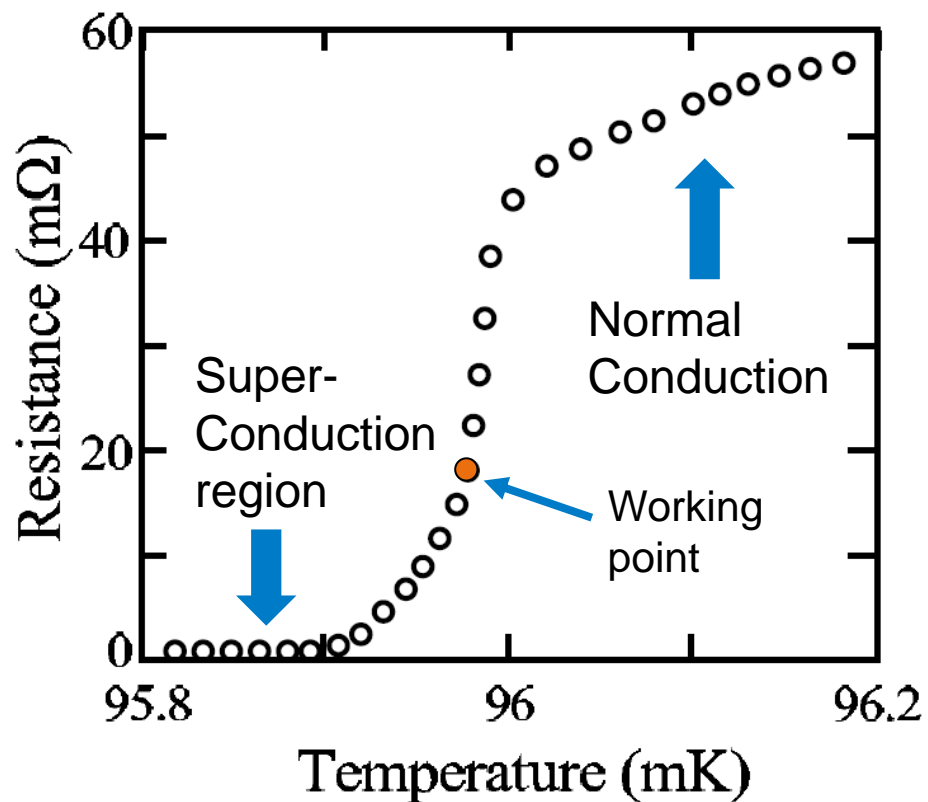
- Cryogenic detector operated at transition region
- Connected to a colder thermal bath
- Possible definition of the **point in the transition**

Transition Edge Sensor (TES)



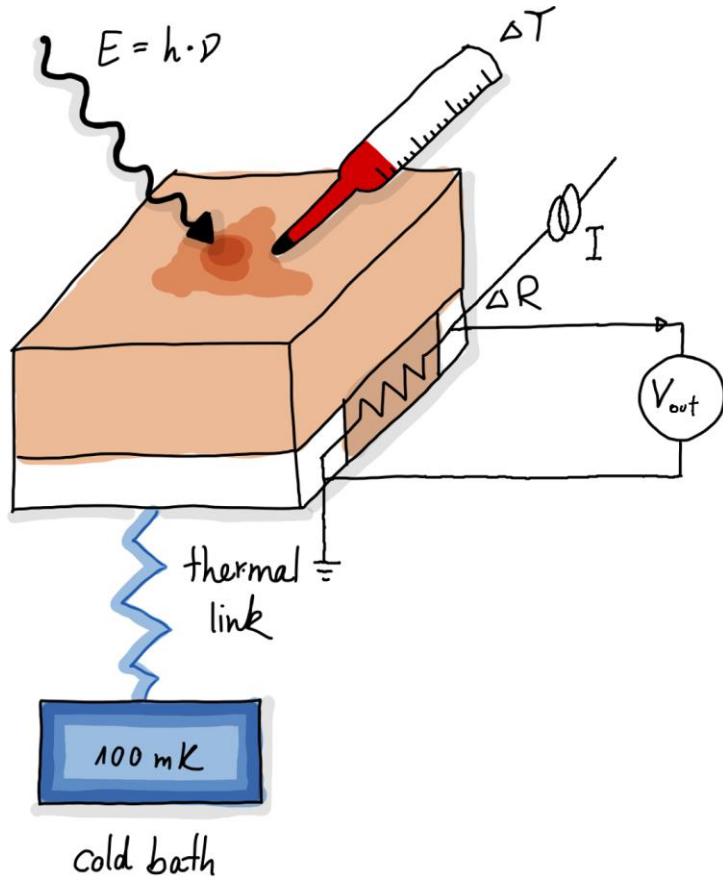
- Cryogenic detector operated at transition region
- Connected to a colder thermal bath
- Possible definition of the **point in the transition**
- **Change in resistance** produced by energy deposition
- **Very good energy resolution**

First TESs ('40s – '90s)



- Cryogenic detector operated at transition region
- Connected to a colder thermal bath
- Possible definition of the **point in the transition**
 - **Controlling bath temperature**

First TESs ('40s – '90s)



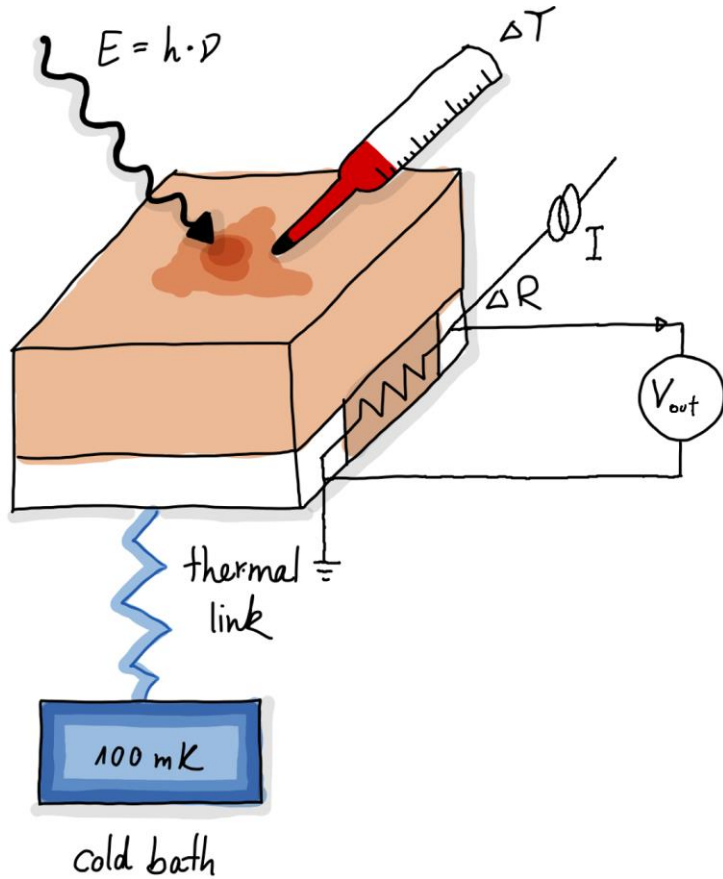
$$C \frac{dT}{dt} = -P_{\text{bath}} + P_{\text{ext}}$$

$$P_{\text{bath}} = K(T^n - T_{\text{bath}}^n)$$

} Thermal circuit

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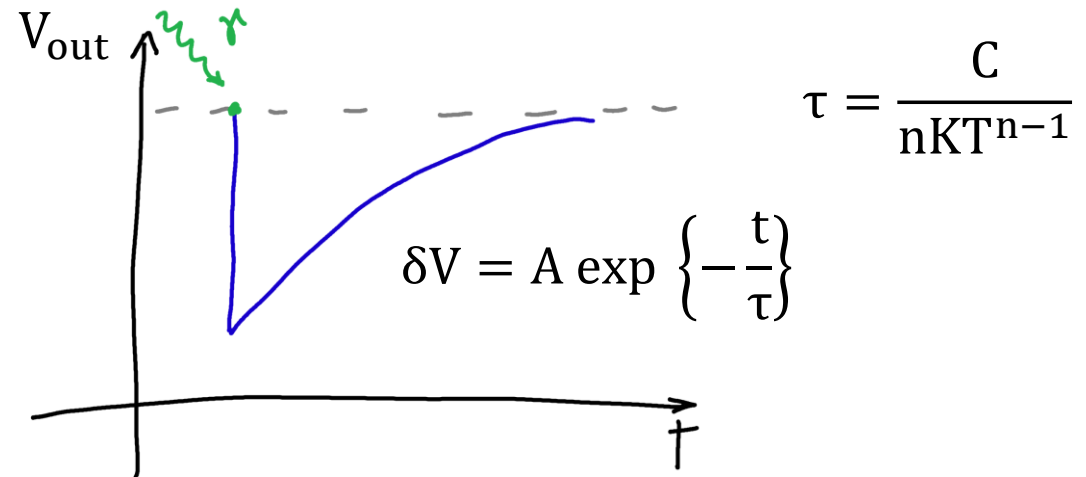
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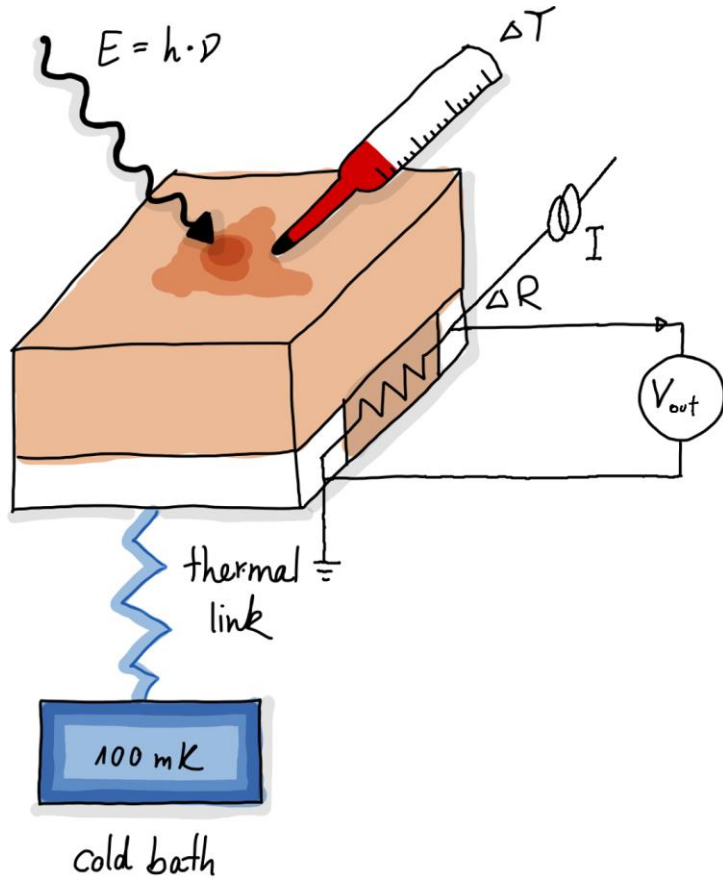
} Thermal circuit

$$IR = V_{\text{out}}$$

} Electrical circuit



First TESs ('40s – '90s)

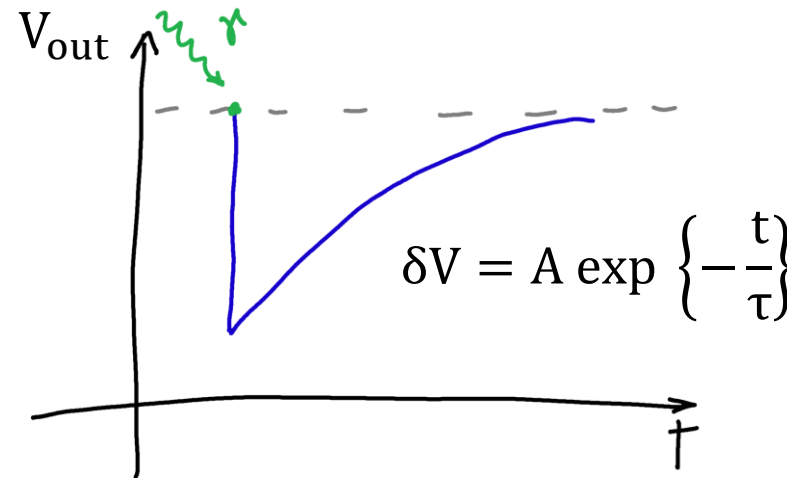


- Cryogenic detector operated at transition region
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$$C \frac{dT}{dt} = \boxed{-P_{\text{bath}}} + P_{\text{ext}} \quad \left. \vphantom{C \frac{dT}{dt}} \right\} \text{Thermal circuit}$$

$$P_{\text{bath}} = K(T^n - T_{\text{bath}}^n)$$

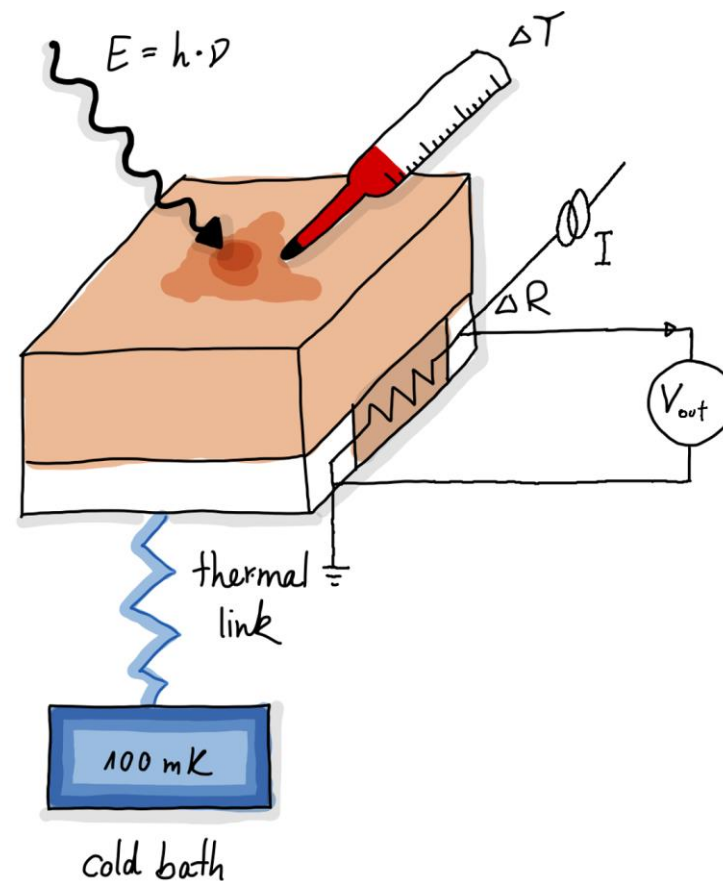
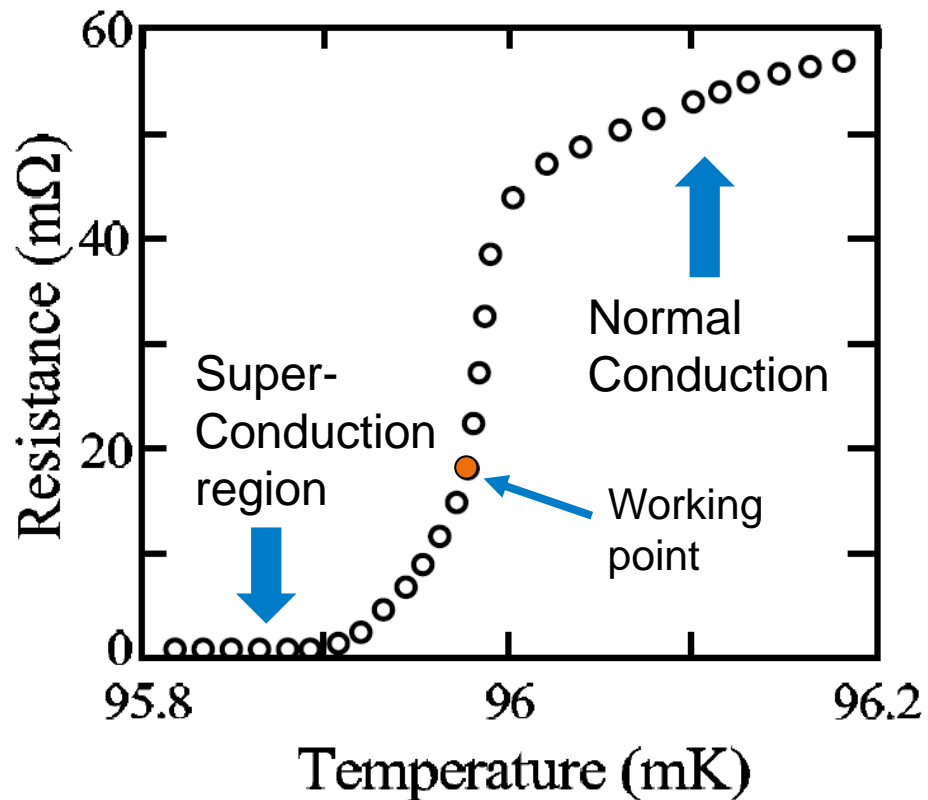
$$IR = \boxed{V_{\text{out}}} \quad \left. \vphantom{IR} \right\} \text{Electrical circuit}$$



$$\tau = \frac{C}{nKT^{n-1}}$$

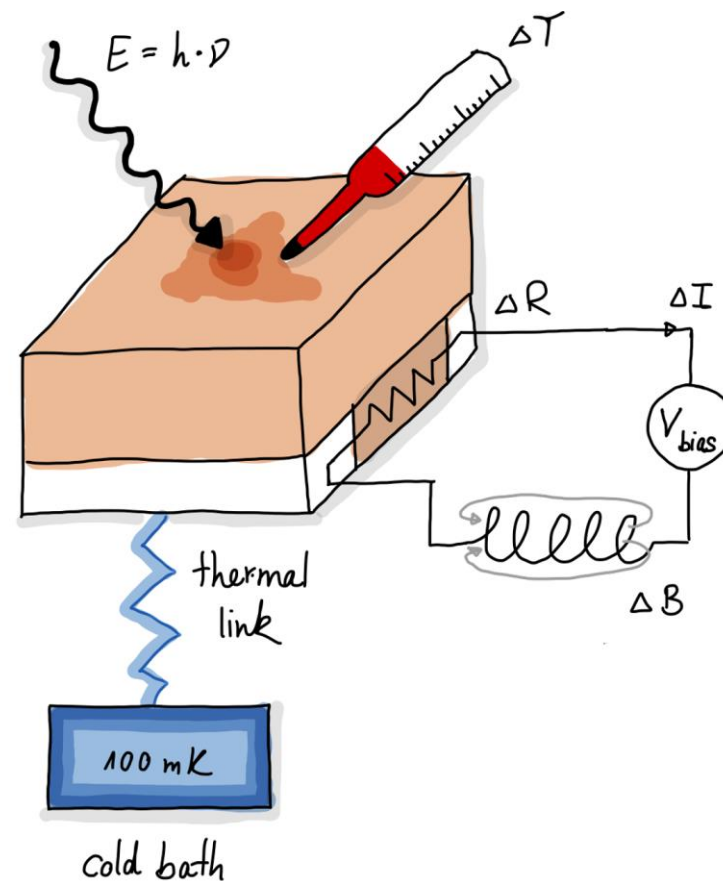
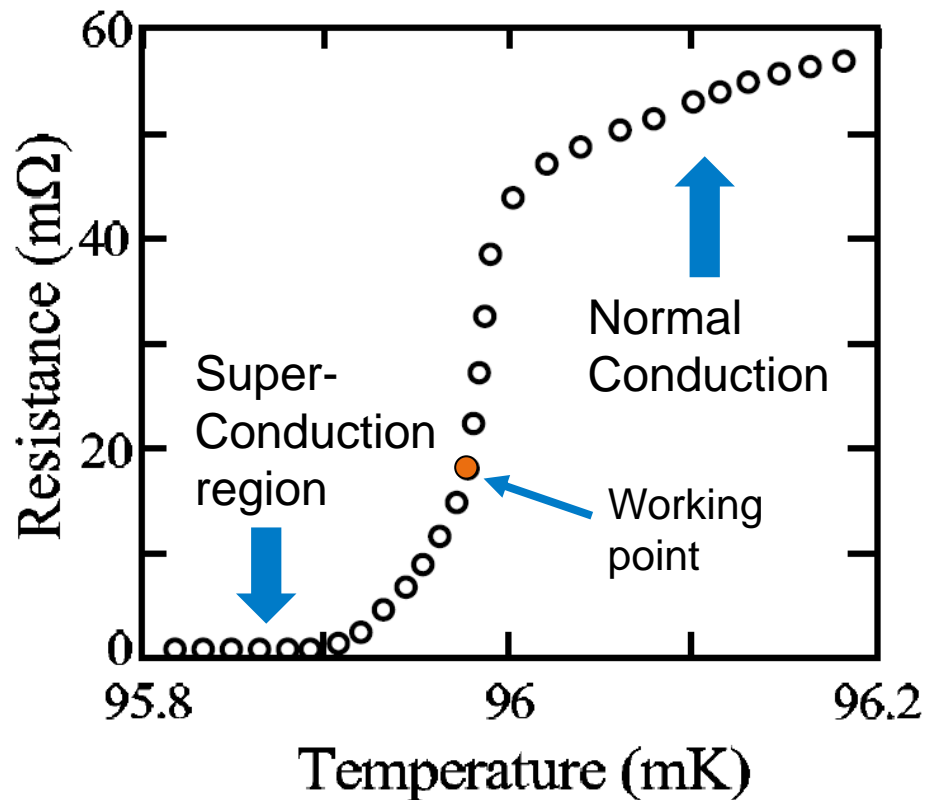
Readout with FET
and other solutions
Very noisy ...

First TESs ('40s – '90s)



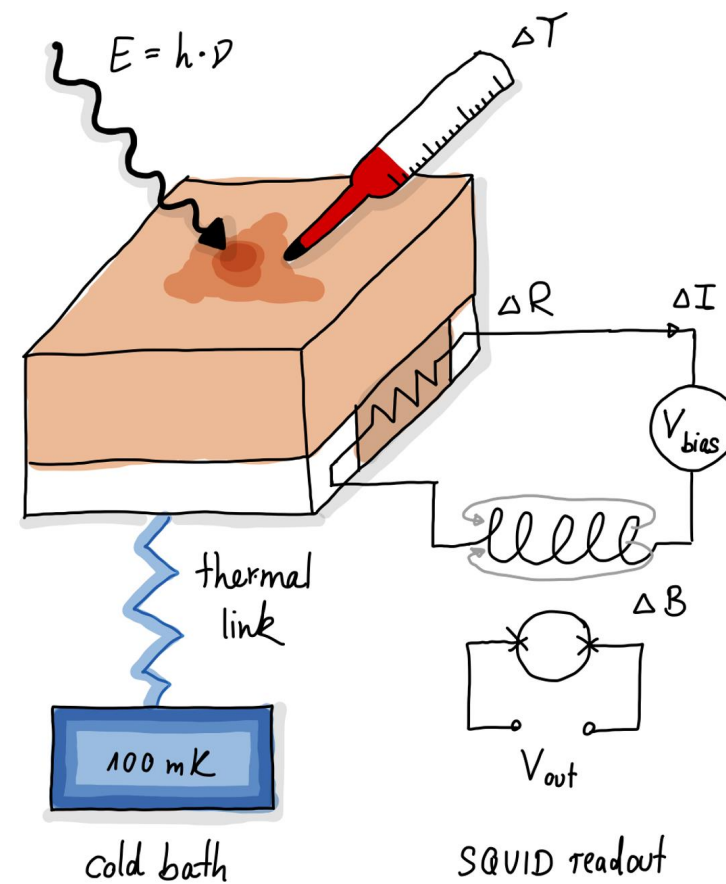
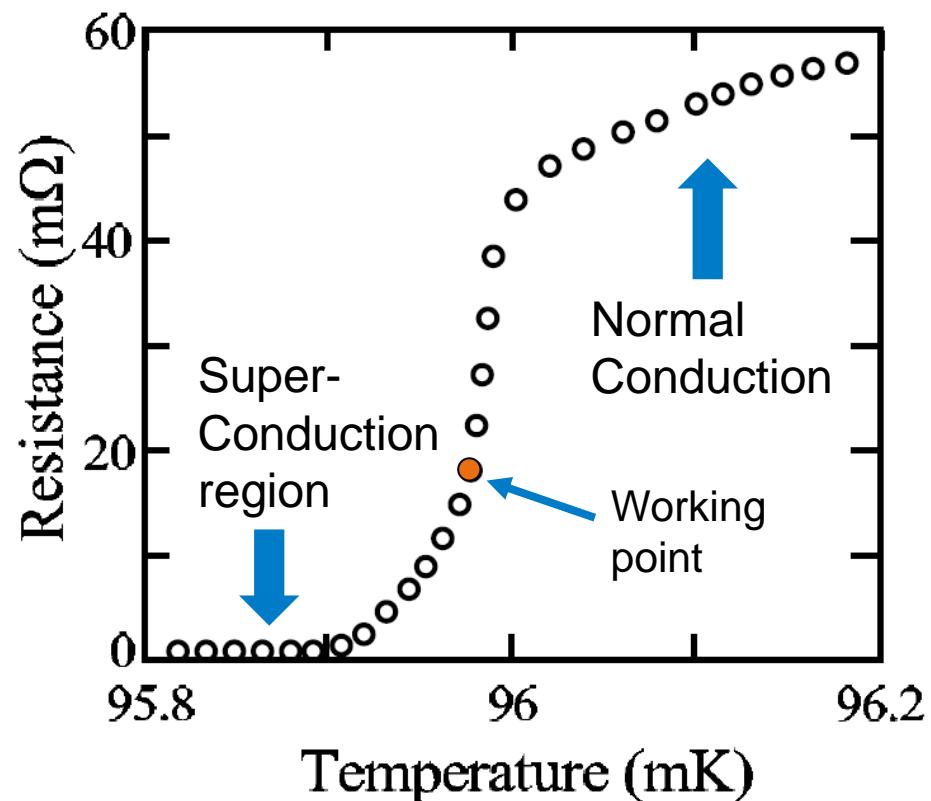
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Nowadays TES physics



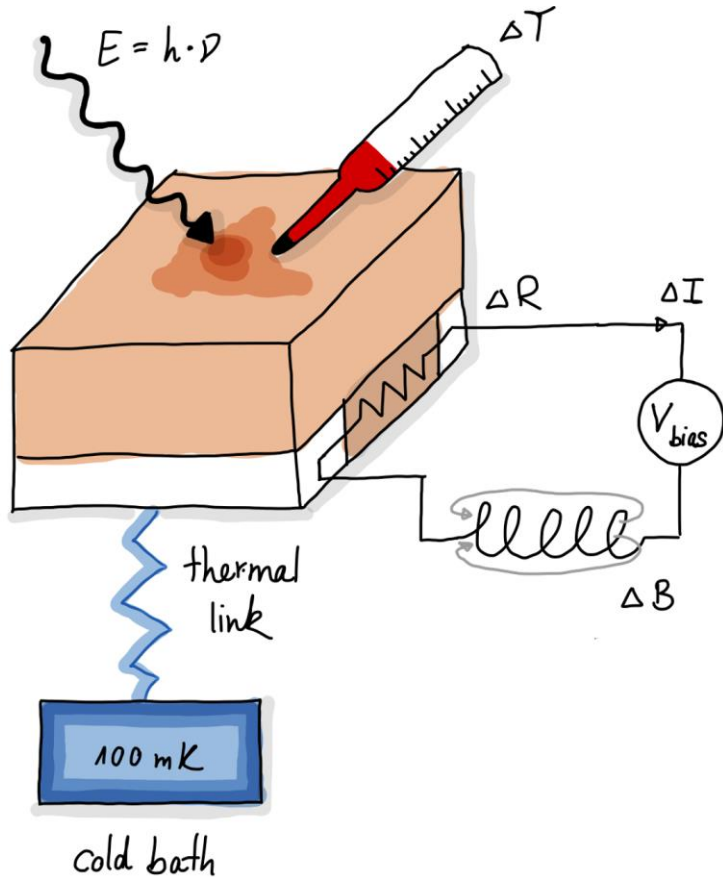
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Nowadays TES physics



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- Possible definition of the **point in the transition**
 - Voltage-biased TES
- Superconducting Quantum Interference Device (SQUID) readout

Nowadays TES physics



$$C \frac{dT}{dt} = -P_{\text{bath}} + V_{\text{bias}}^2/R + P_{\text{ext}} \quad \left. \vphantom{C \frac{dT}{dt}} \right\} \text{Thermal circuit}$$

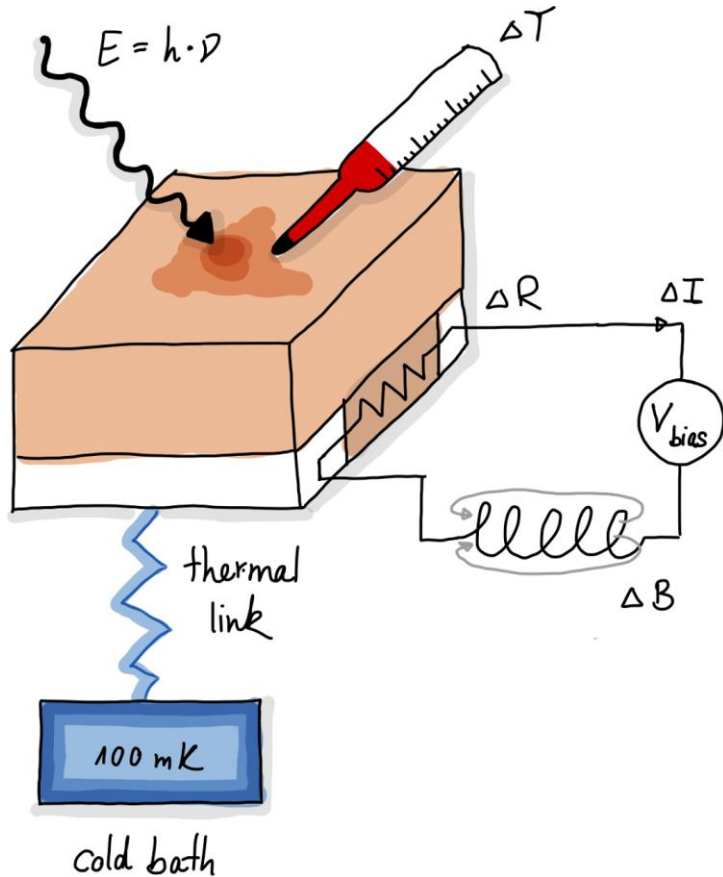
$$P_{\text{bath}} = K(T^n - T_{\text{bath}}^n)$$



TES can be at different temperature than bath

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Nowadays TES physics



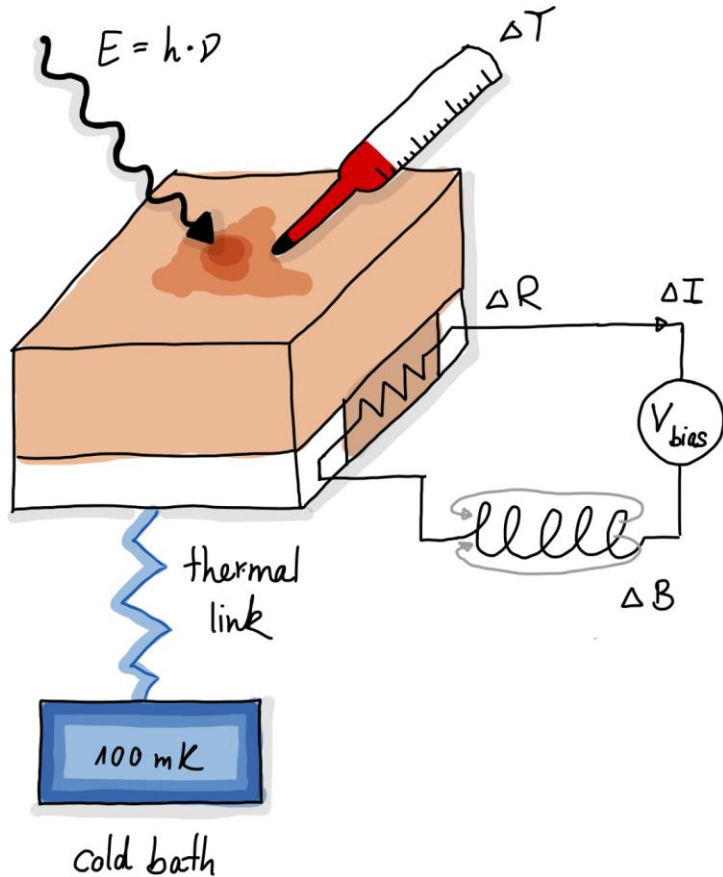
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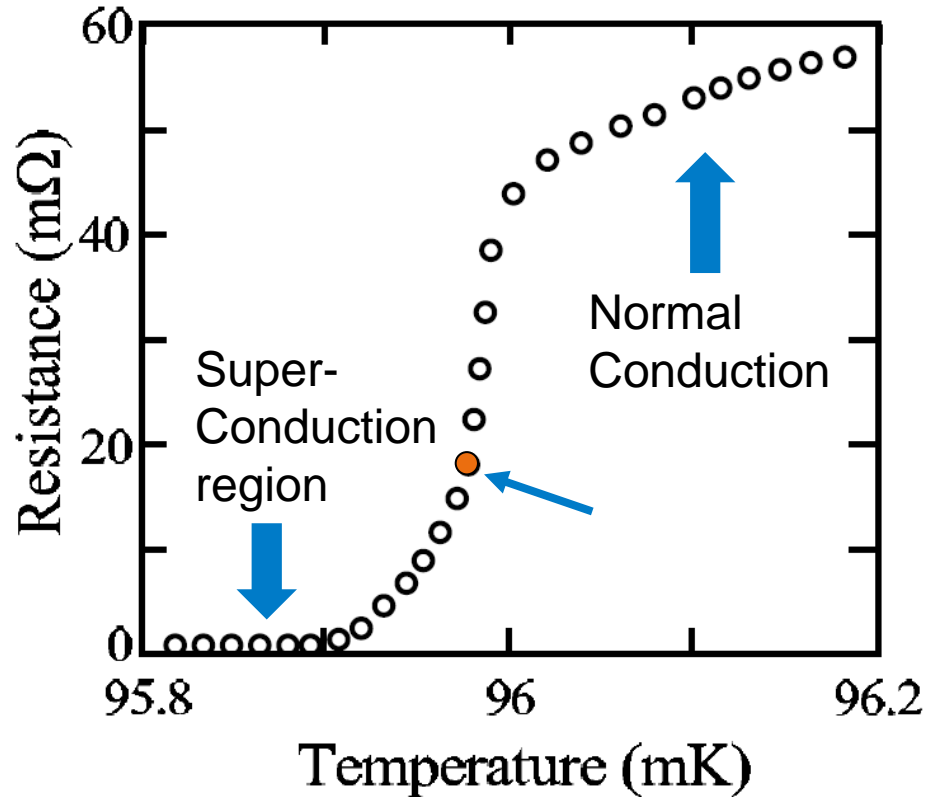
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Non-linear system

- Cryogenic detector operated at transition region
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TES Small Signal Theory



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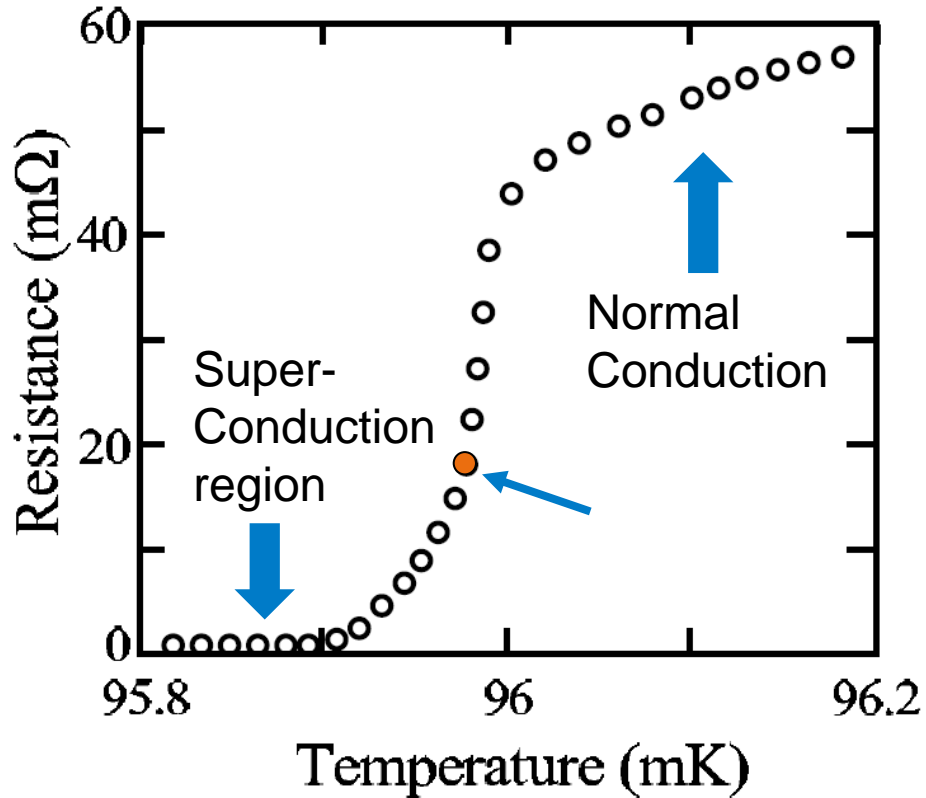
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Linearize with respect to working point for small variations of T, I and R

$$\alpha = \left. \frac{T_0}{R_0} \frac{\partial R}{\partial T} \right|_{I_0} \quad \beta = \left. \frac{I_0}{R_0} \frac{\partial R}{\partial I} \right|_{T_0}$$

TES Small Signal Theory

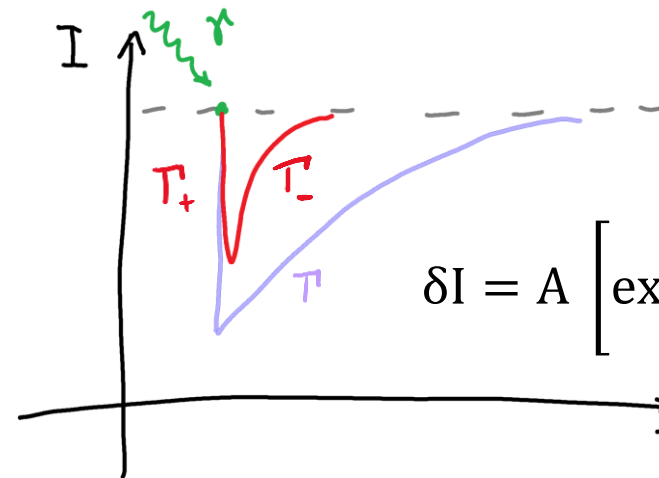


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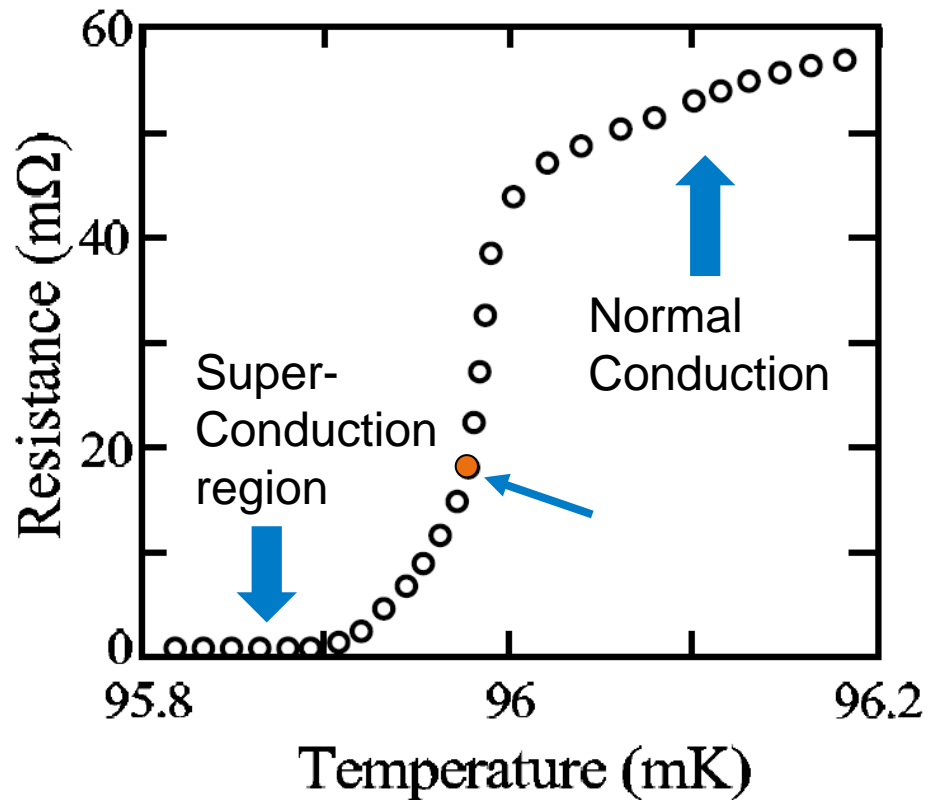
If L is small, so $\tau_+ \ll \tau_-$:

$$\tau_+ = \frac{L}{R_0(1 + \beta)} \quad \tau_- = \frac{\tau}{1 + \mathcal{L}/(1 + \beta)} \quad \mathcal{L} = \frac{I_0^2 R_0 \alpha}{GT_0}$$



$$\delta I = A \left[\exp \left\{ -\frac{t}{\tau_+} \right\} - \exp \left\{ -\frac{t}{\tau_-} \right\} \right]$$

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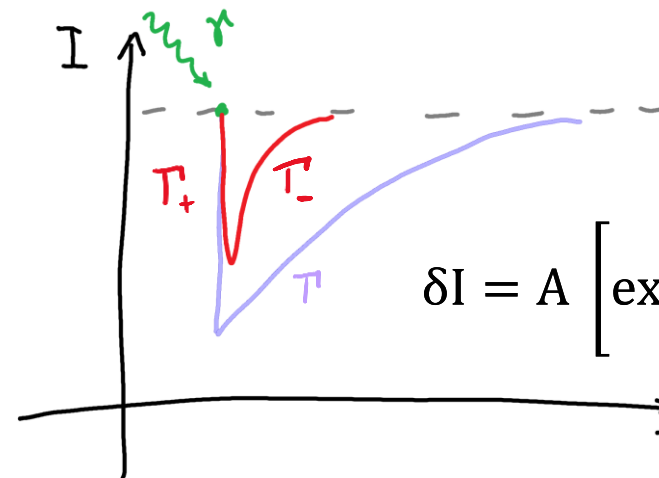
$$\tau_+ = \frac{L}{R_0(1 + \beta)}$$

Slower rise time

$$\tau_- = \frac{\tau}{1 + \mathcal{L}/(1 + \beta)}$$

Faster decay time

$$\mathcal{L} = \frac{I_0^2 R_0 \alpha}{GT_0}$$



$$\delta I = A \left[\exp \left\{ -\frac{t}{\tau_+} \right\} - \exp \left\{ -\frac{t}{\tau_-} \right\} \right]$$

TES Strong ETF

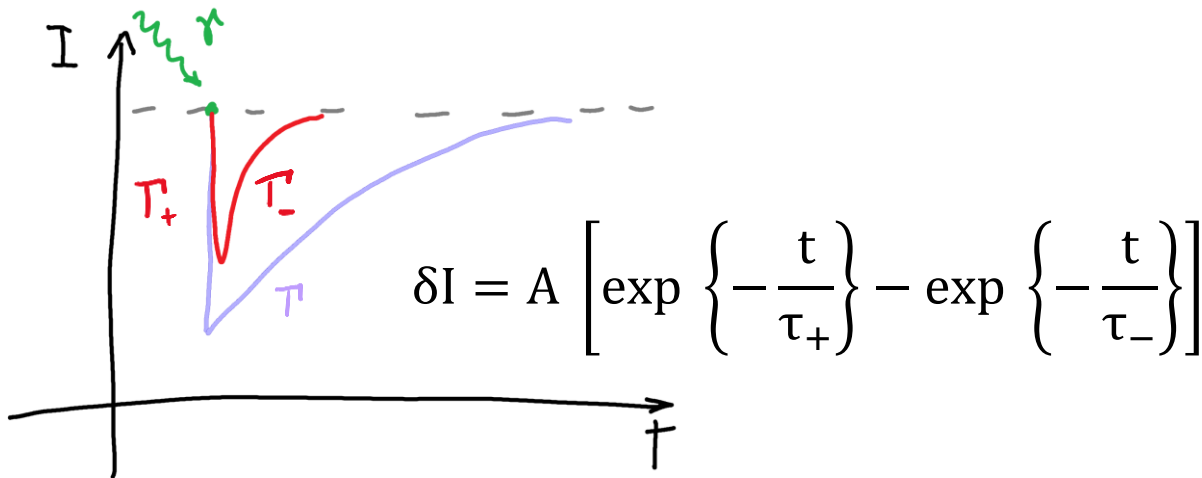
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Strong electrothermal feedback (ETF) if $\mathcal{L} \gg 1$

$$\tau_- = \frac{\tau}{1 + \alpha/n}$$



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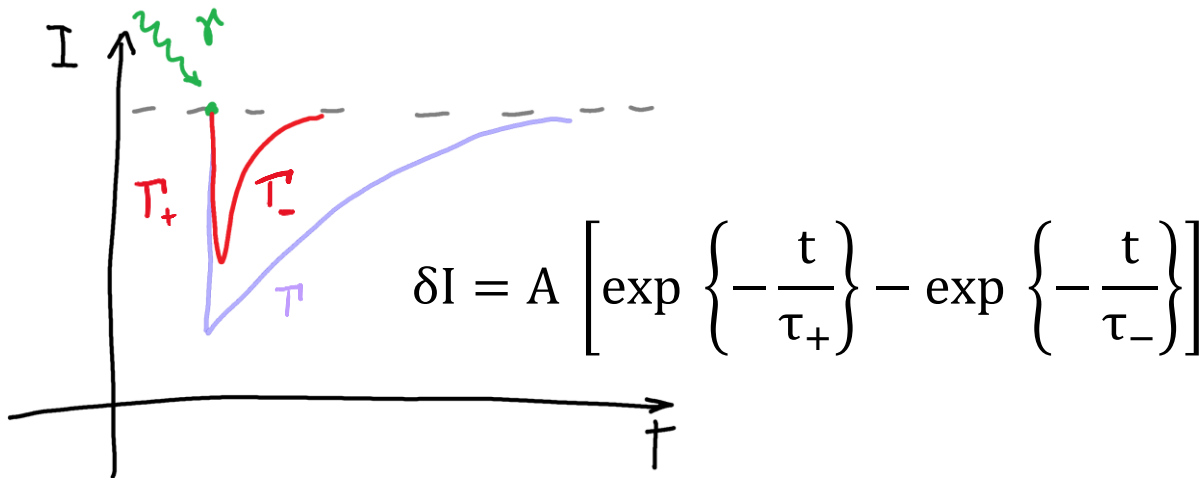
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TES as **bolometer**:

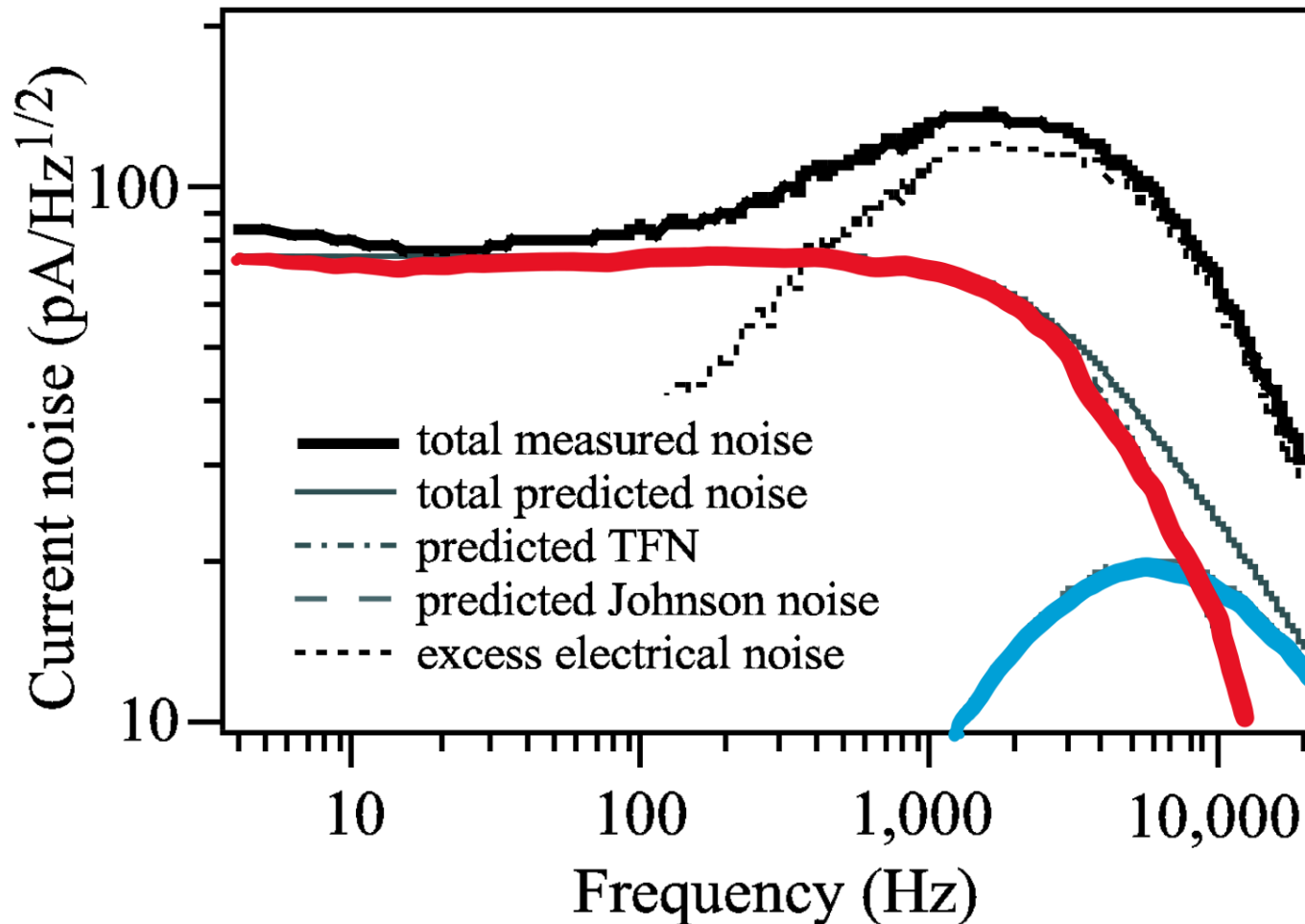
$$P = -I_0 R_0 \delta I$$

TES as **calorimeter**:

$$E = -I_0 R_0 \int_0^\infty \delta I(t) dt$$



TES noise and energy resolution

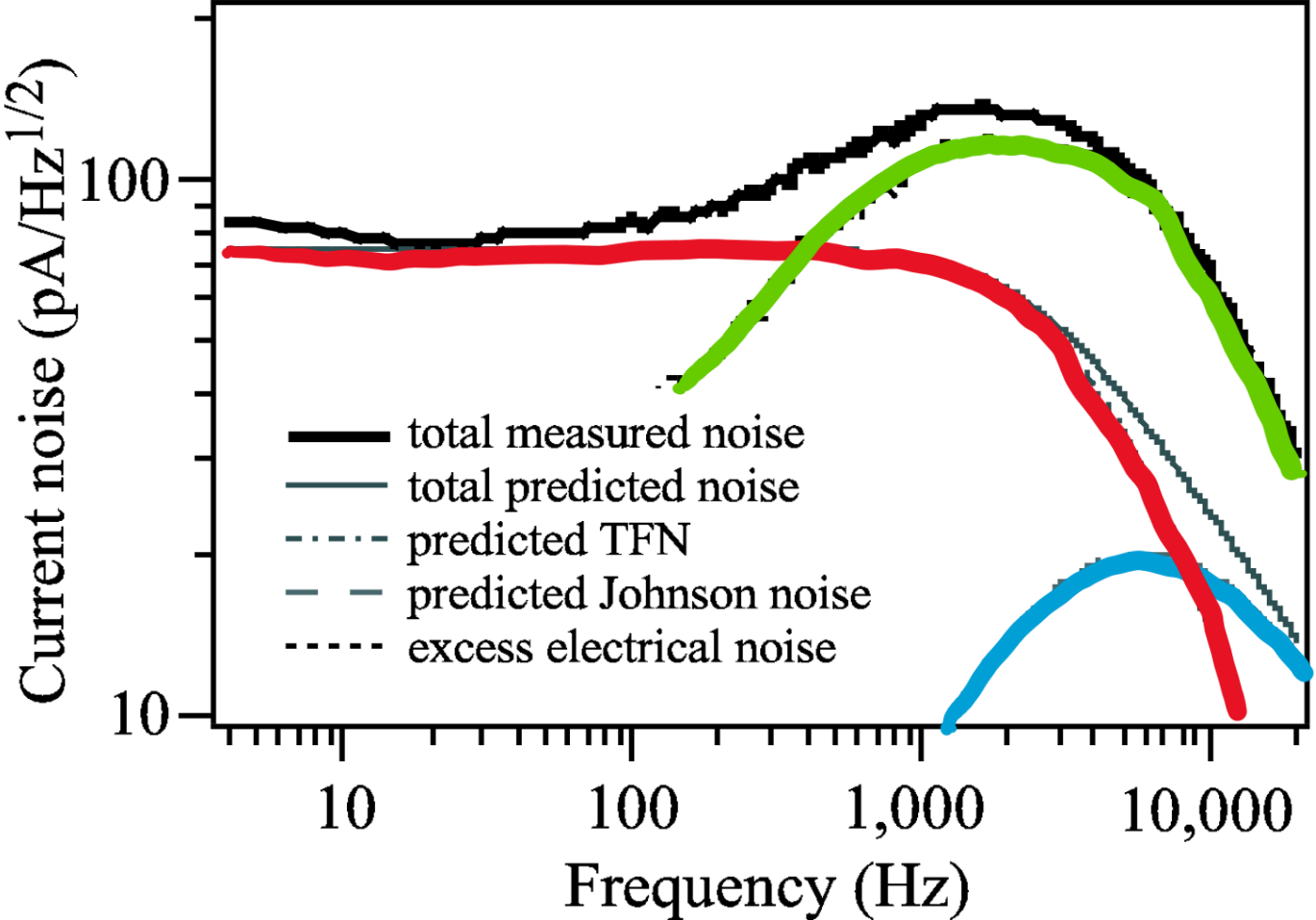


Thermal fluctuation noise (TFN) } Thermal noise

Johnson or Nyquist noise } Electronic noise

$$\Delta E_{\text{FWHM}} = 2\sqrt{2 \ln 2} \sqrt{4k_B T_0^2 \frac{C}{\alpha} \sqrt{\frac{n}{2}}}$$

TES noise and energy resolution



Thermal fluctuation noise (TFN) } Thermal noise

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Excess noise

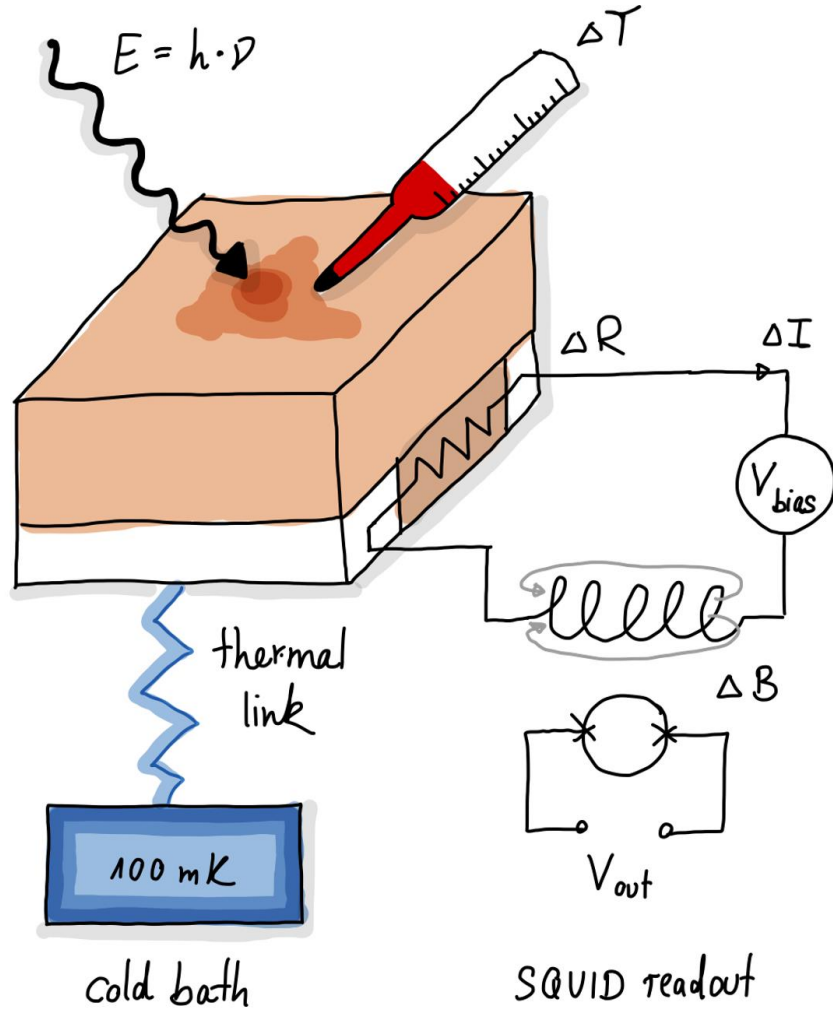
$$\Delta E_{FWHM} = 2\sqrt{2 \ln 2} \sqrt{4k_B T_0^2 \frac{C}{\alpha} \sqrt{\frac{n}{2}}}$$

$\Delta E_{true} > \Delta E_{FWHM}$

K. Irwin, G. Hilton, Transition-edge sensors, in: Cryogenic Particle Detection, Springer Berlin Heidelberg, Berlin, Heidelberg, 2005, pp. 63–150, http://dx.doi.org/10.1007/10933596_3.



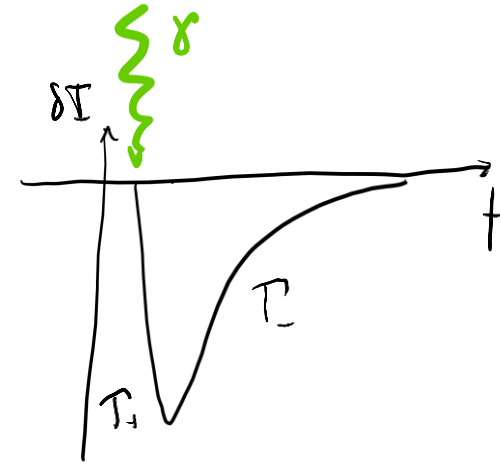
TES physics summary



TES in strong ETF

Rise time $\tau_+ = \frac{L}{R_0(1 + \beta)}$

Decay time $\tau_- = \frac{C/G}{1 + \alpha/n}$



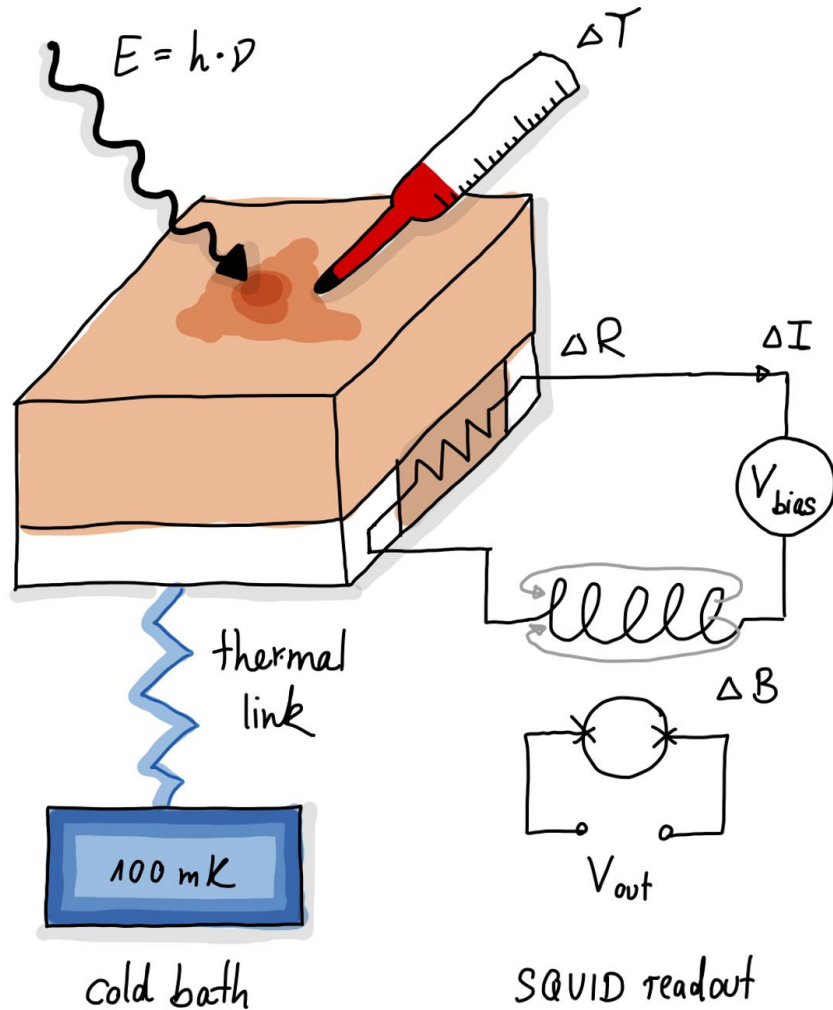
Measured power with TES as bolometer $P = -I_0 R_0 \delta I$

Measured energy of photon with TES as calorimeter $E = -I_0 R_0 \int_0^{\infty} \delta I(t) dt$

Theoretical limit for TES energy resolution $\Delta E_{FWHM} = 2\sqrt{2 \ln 2} \sqrt{4k_B T_0^2 \frac{C}{\alpha} \sqrt{\frac{n}{2}}}$

*Courtesy of Katharina-Sophie Isleif

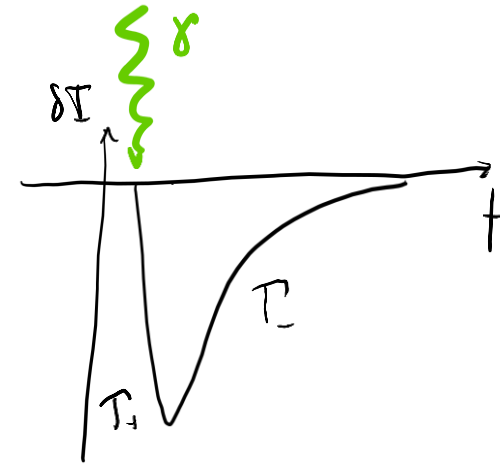
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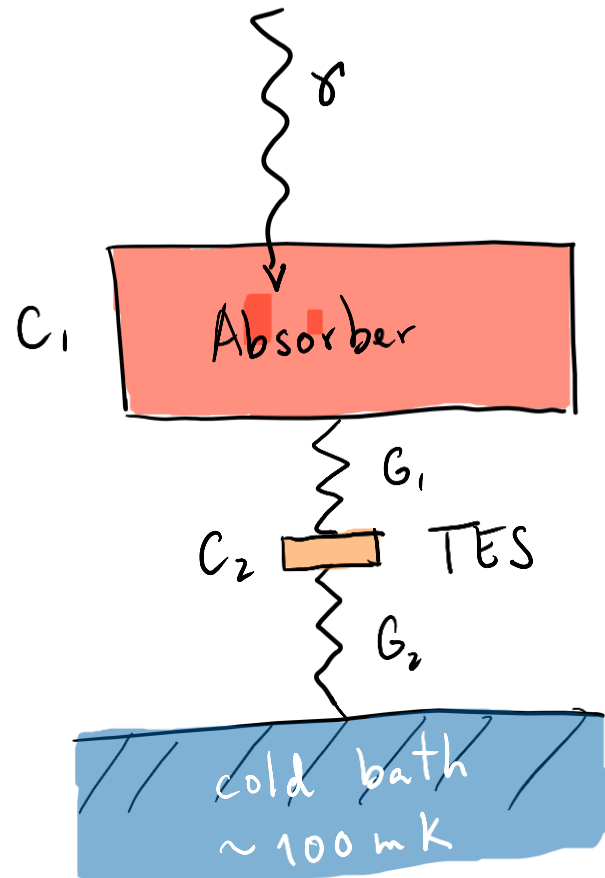
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High energy photon detection

X-ray and gamma TES detectors



Absorber big enough to increase probability of X-ray and gamma interaction

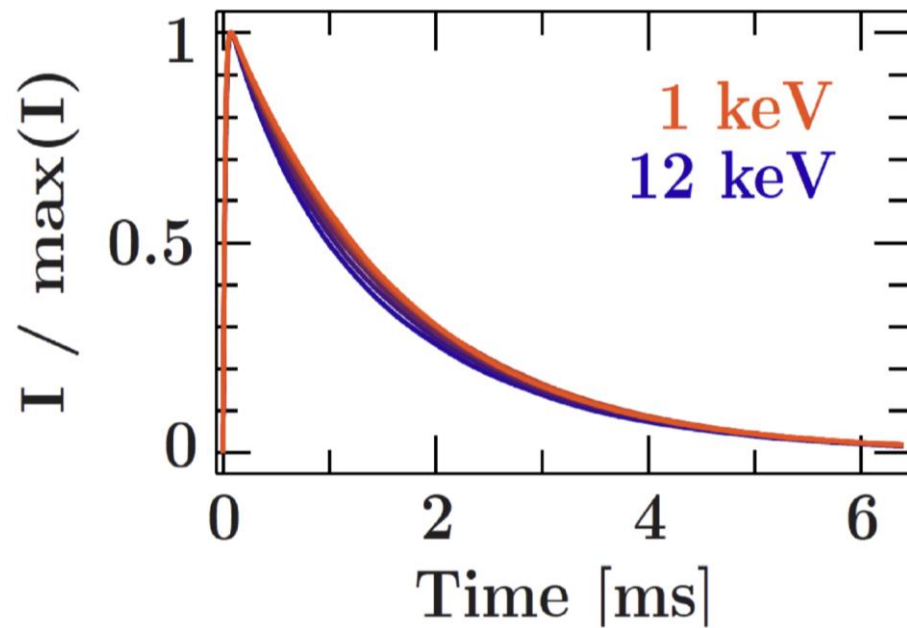
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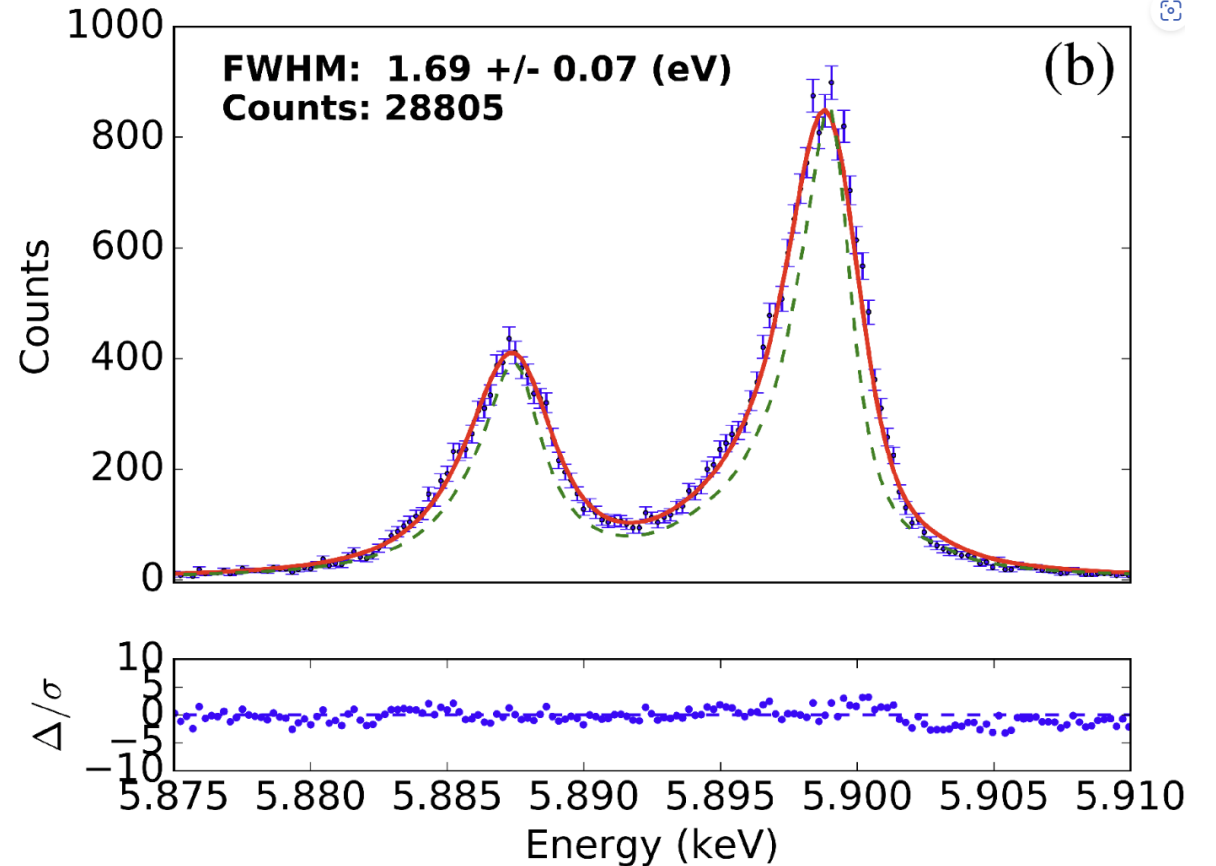
C increases due to the absorber
 ΔE worsens and **τ_- increases**

X-ray and gamma TES detectors

C increases due to the absorber
 ΔE worsens and τ_c increases

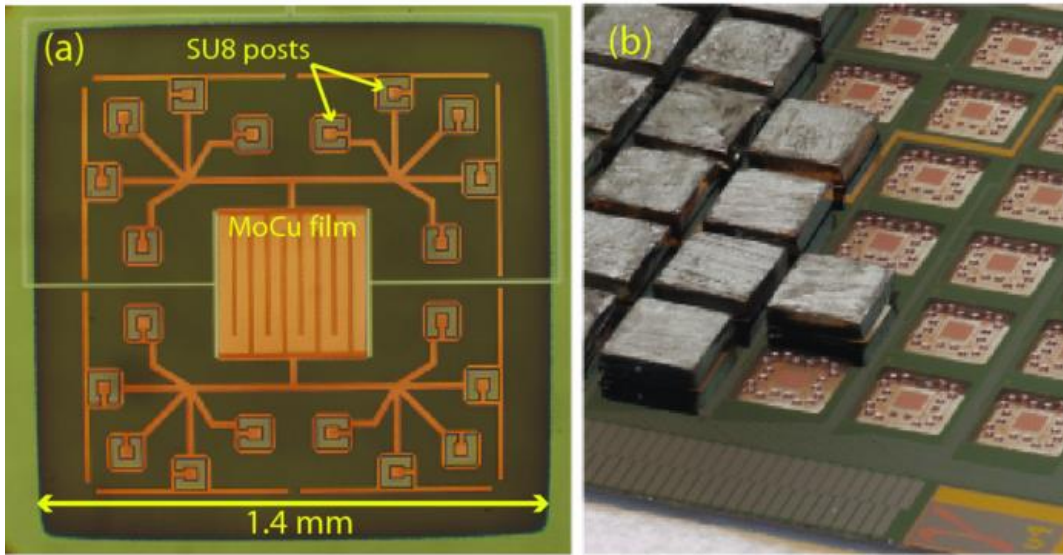


Very high S-to-N ratio
Excellent energy resolution of $\sim 0.01\%$



A Review of X-ray Microcalorimeters Based on Superconducting Transition Edge Sensors for Astrophysics and Particle Physics. *Applied Sciences*, 11(9), 3793. <https://doi.org/10.3390/app11093793>

Extending the range to ~100 keV

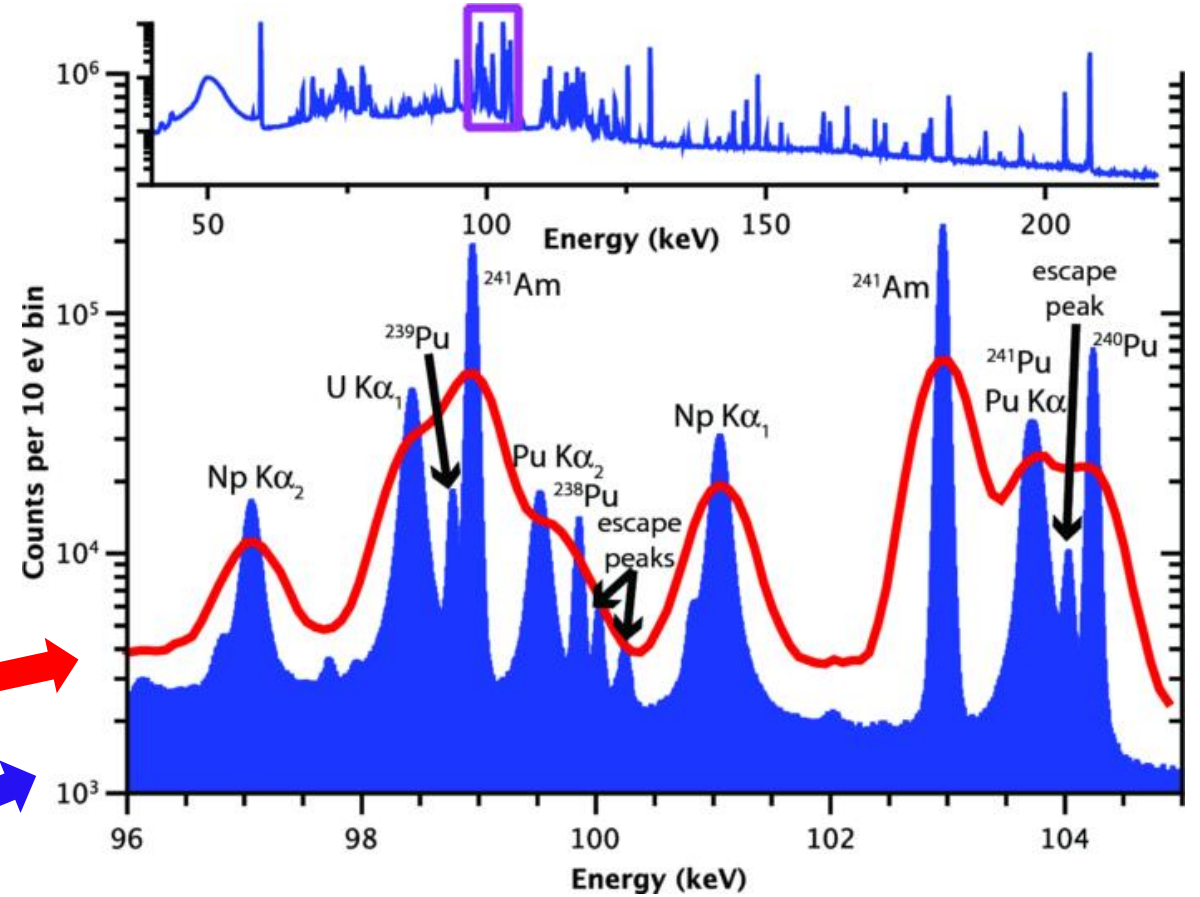
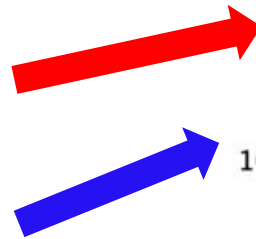


Absorber Sn: $1.45 \times 1.45 \times 0.38 \text{ mm}^3$
 High efficiency for gamma and low C

High purity
 Germanium detector

$\Delta E = 25 \text{ eV @ } 100 \text{ keV}$

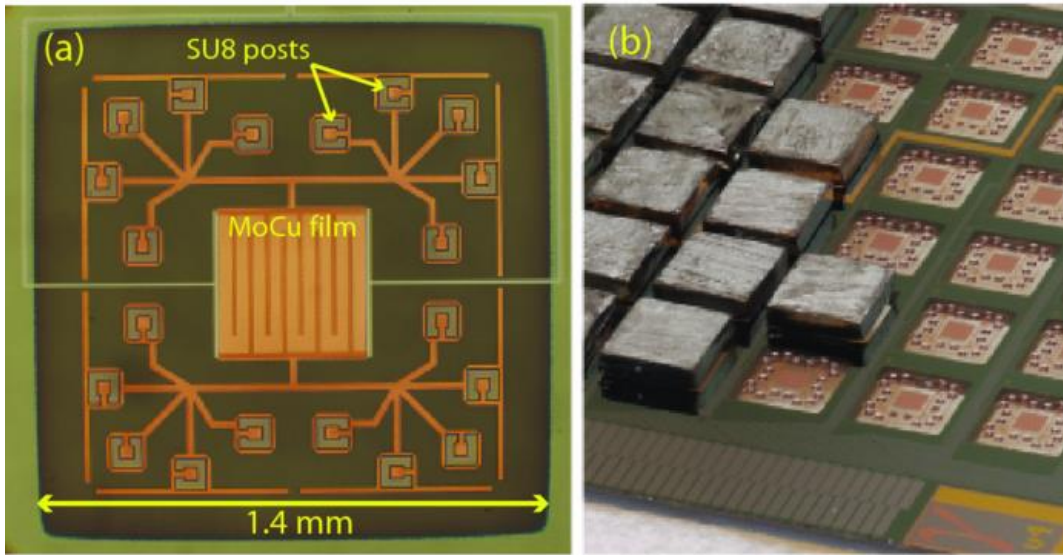
TES



Rev. Sci. Instrum.. 2012;83(9). doi:10.1063/1.4754630

Extending the range to ~100 keV

SQUID multiplexing

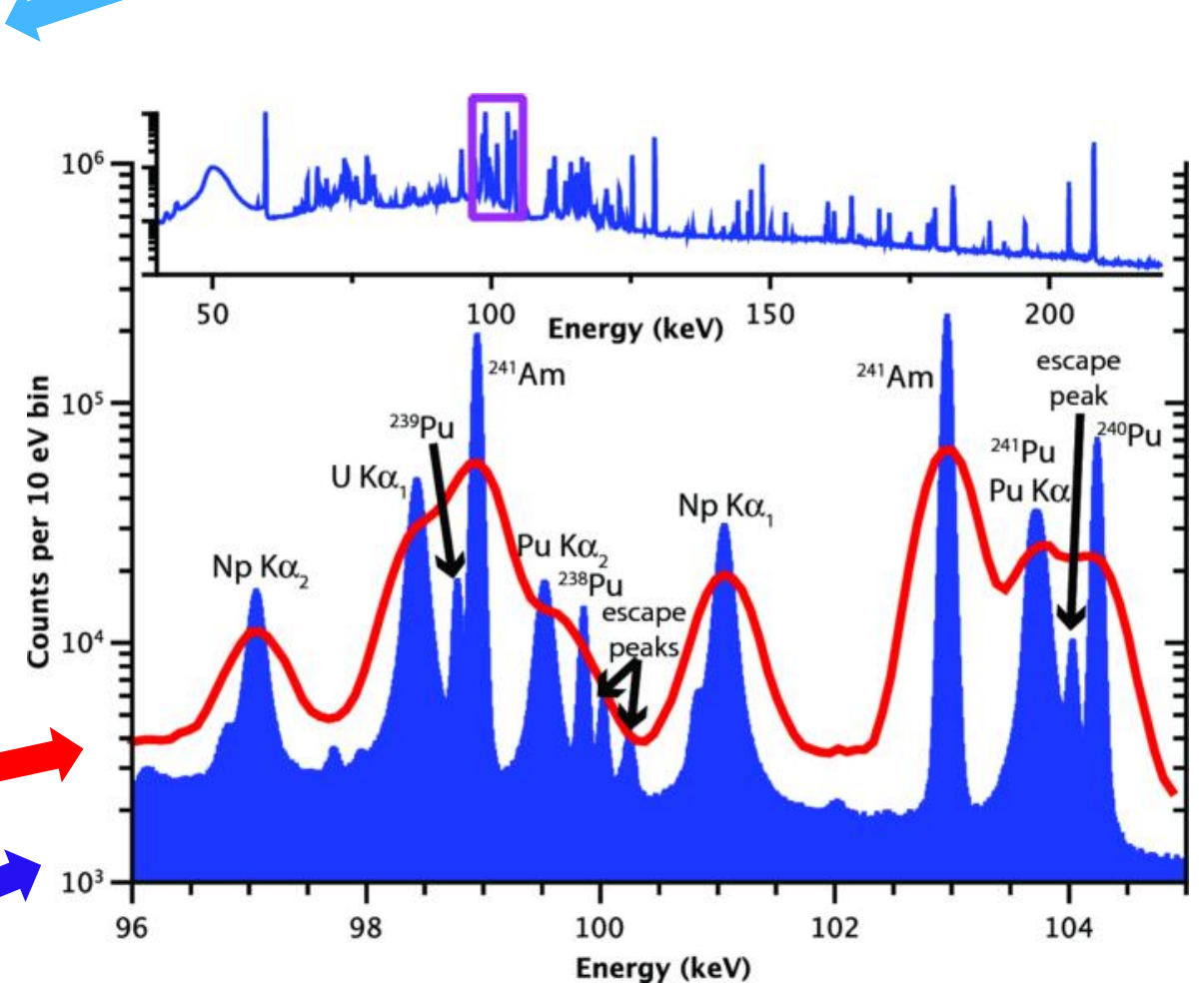


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X-ray astrophysics

- X-rays emitted by ionized atoms and energetic electrons near active objects
- Energies of discrete X-ray lines reveal elements
- Doppler shift of lines indicate dynamic conditions of elements
- Presence of several ionization lines



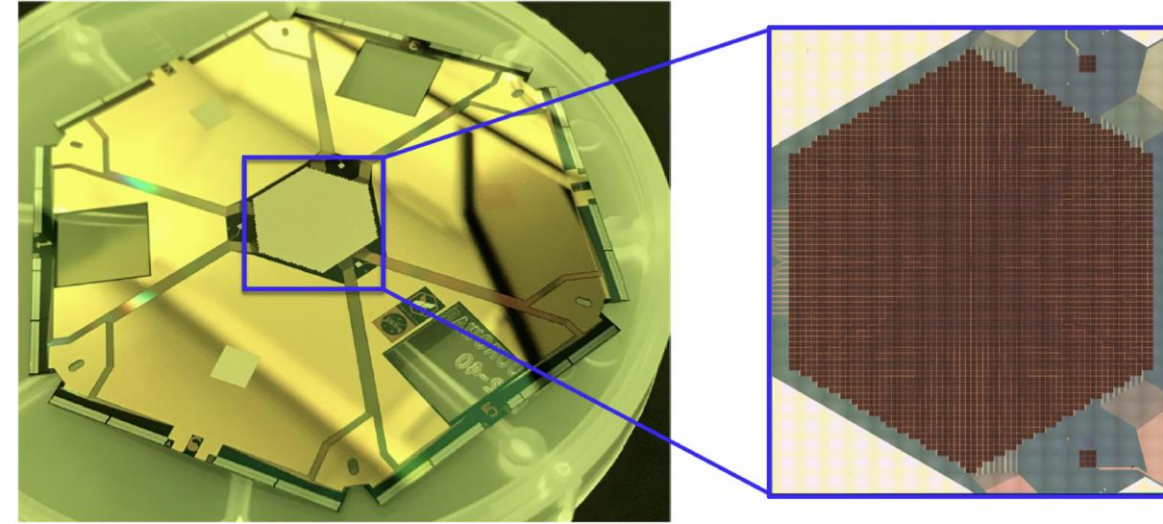
Requires excellent
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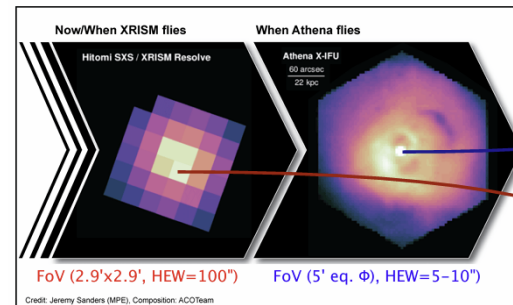
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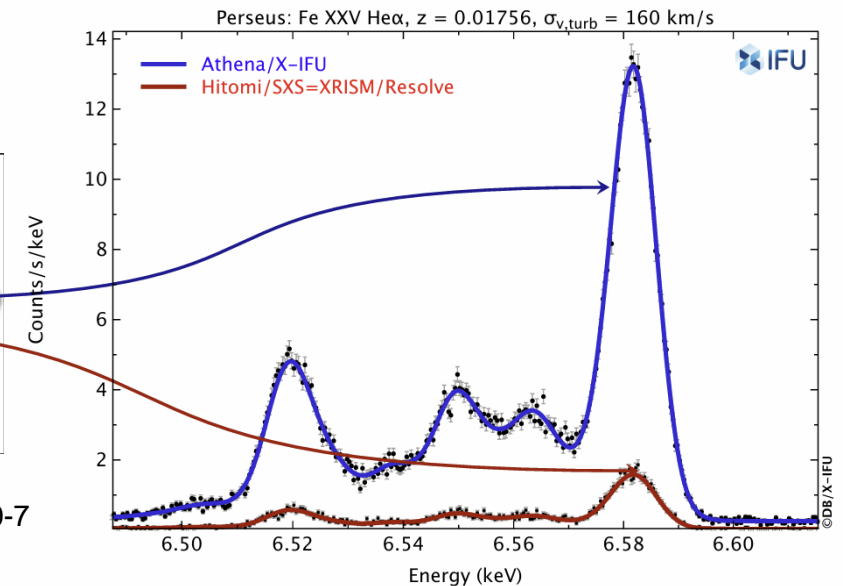
Requires excellent energy resolution



Athena/X-IFU to be launched with more than 3000 pixels

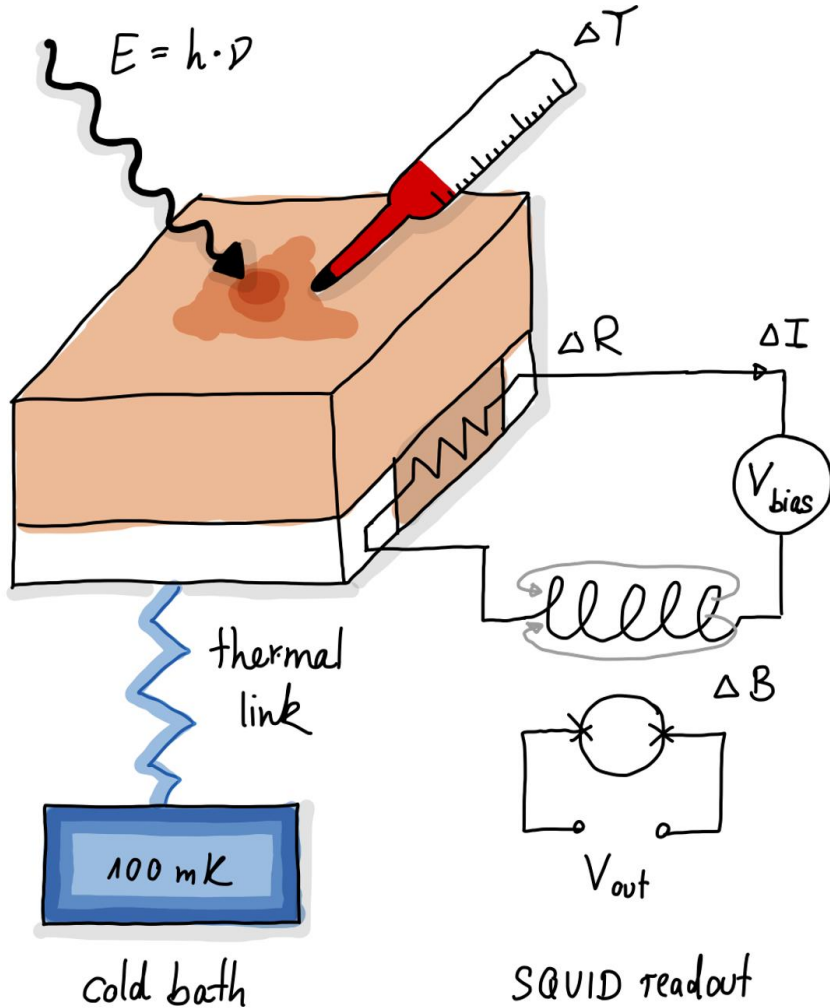


doi:10.1007/s10686-022-09880-7



Visible to IR photon detection

Visible to IR photon TES detectors



The TES is the absorber → **C lower**
 ΔE is lower and τ_- also lower

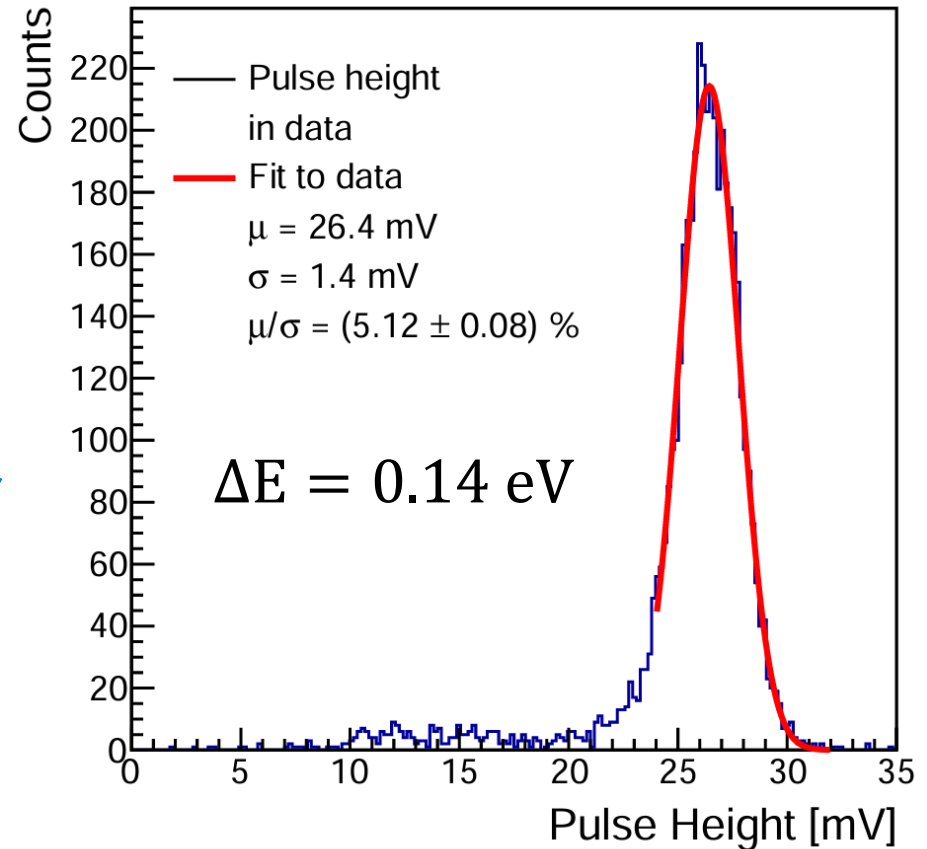
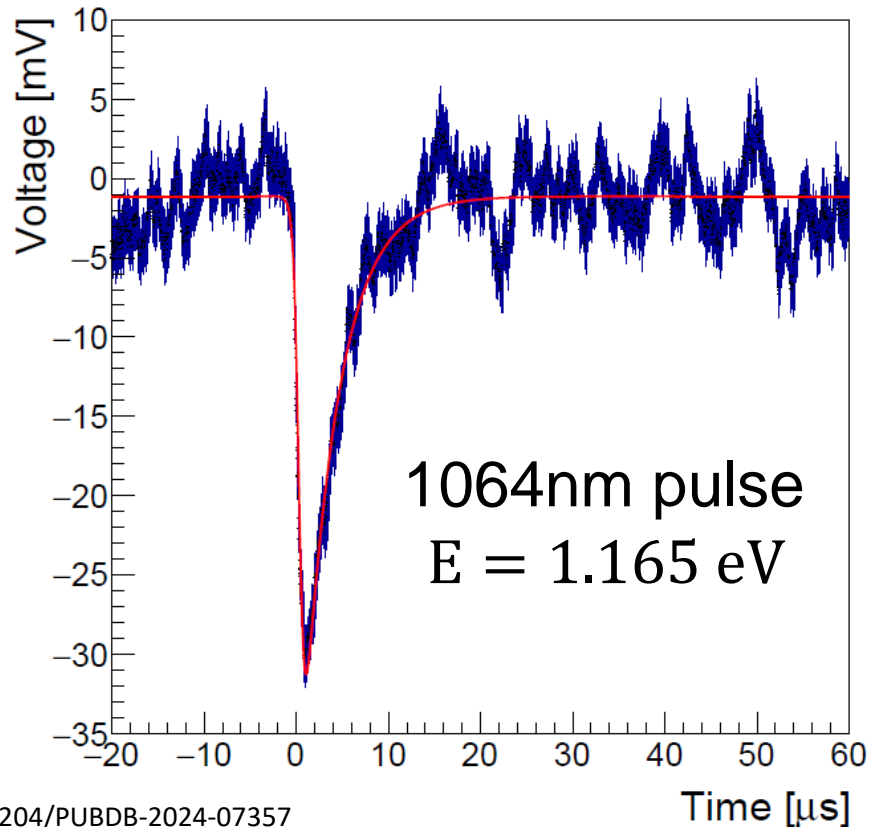
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Theoretical limit for
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Visible to IR photon TES detectors

The TES is the absorber → C lower
 ΔE is lower and τ_- also lower

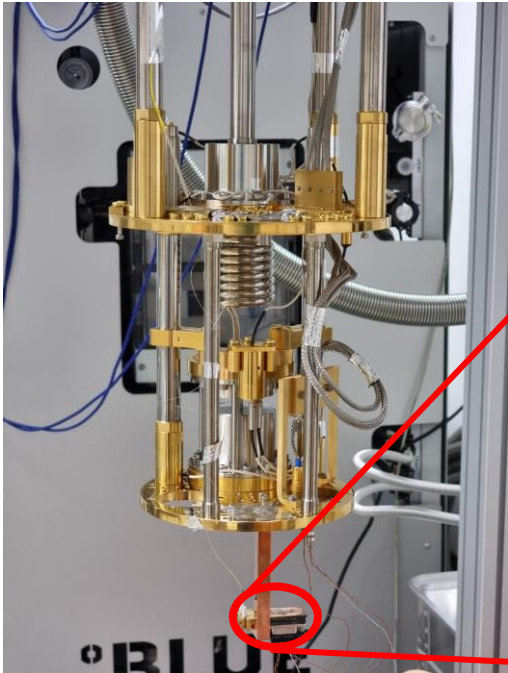


$\Delta E \sim 0.1 \text{ eV}$ and
much faster $\tau_- \sim 1 \mu\text{s}$

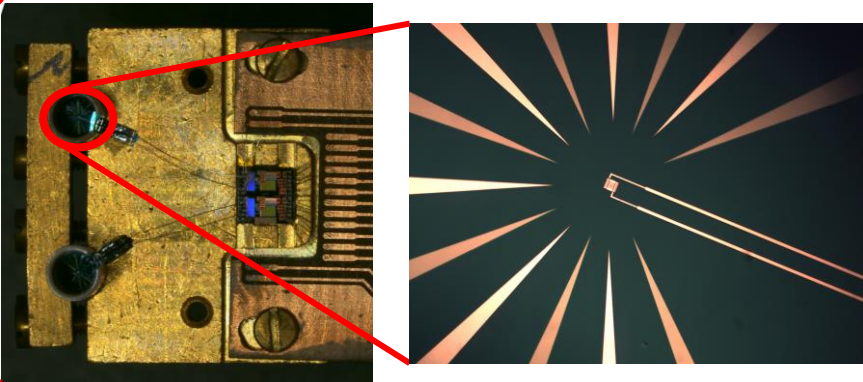
doi:10.3204/PUBDB-2024-07357

Propagating photons to the detector

Use of an optical fiber to transmit photons to the TES



A tungsten microchip ($25\ \mu\text{m} \times 25\ \mu\text{m} \times 20\ \text{nm}$) provided by NIST and SQUID and packaging PTB stabilized in the transition region ($\sim 140\ \text{mK}$)

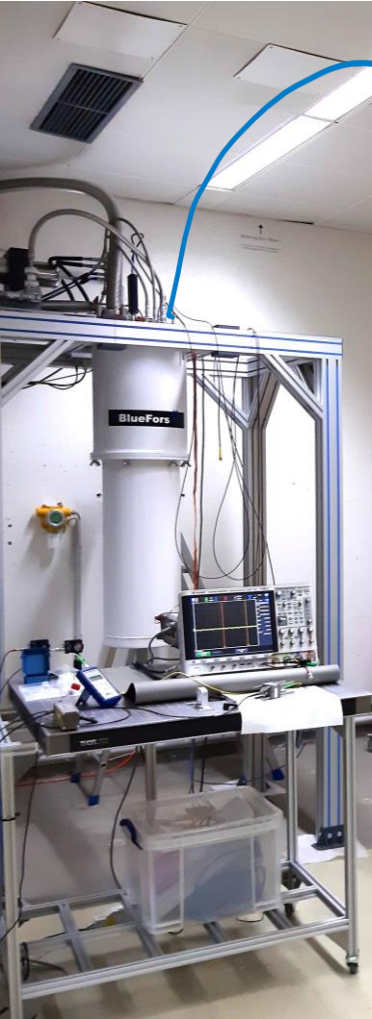


Optimized for 1064 nm photon $E \approx 1.2\ \text{eV}$ with an optical stack

* TES setup at DESY

Propagating photons to the detector

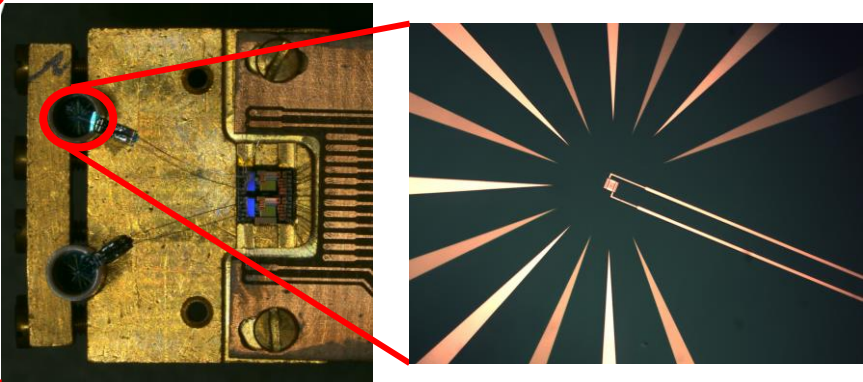
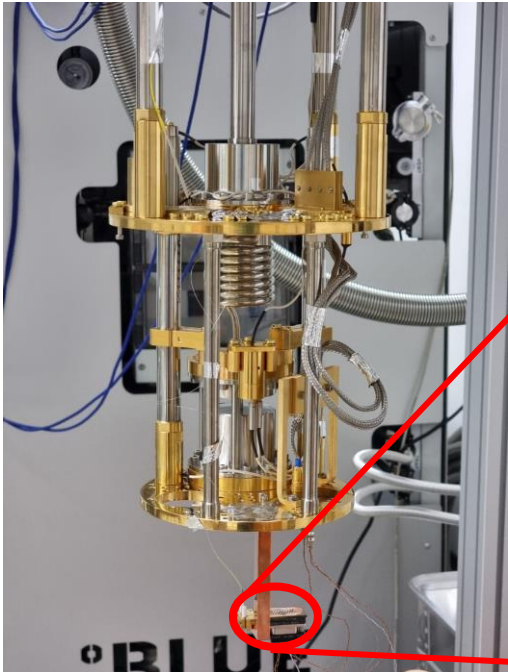
Use of an optical fiber to transmit photons to the TES



TES at DESY for the ALPS II experiment

doi:10.22323/1.449.0567

A tungsten microchip ($25\ \mu\text{m} \times 25\ \mu\text{m} \times 20\ \text{nm}$) provided by NIST and SQUID and packaging PTB stabilized in the transition region ($\sim 140\ \text{mK}$)



Optimized for 1064 nm photon
 $E \approx 1.2\ \text{eV}$ with an optical stack

* TES setup at DESY

Background in the TES

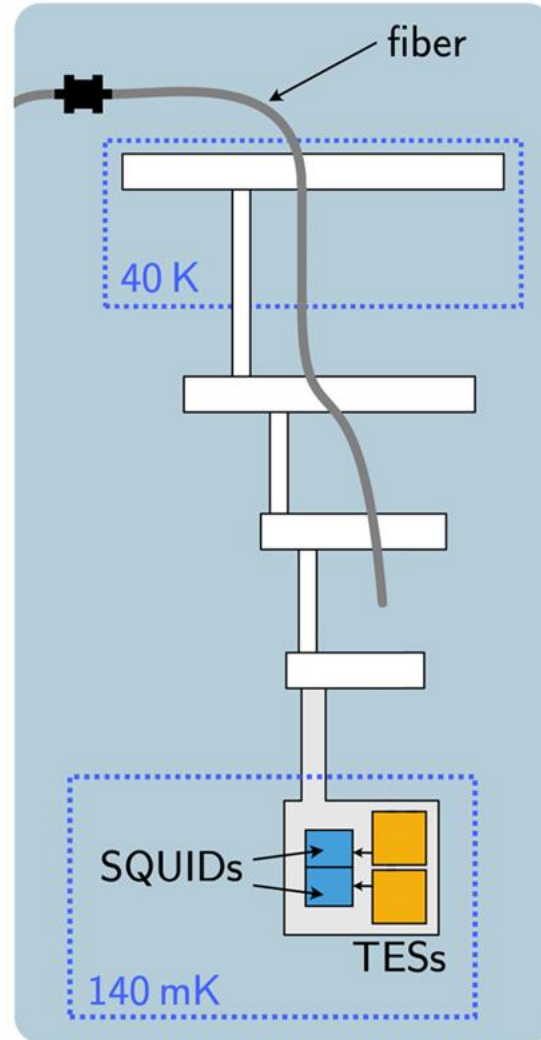
Fiber disconnected from the TES.

The recorded rate of events in the order is usually below 10^{-1} cps (depends on the trigger)

Origin associated to radioactivity and cosmic rays.

TES response different than photon pulses. Allows pulse shape discrimination and machine learning

e.g. [1]
< 10^{-5} cps @ 1064nm



Background in the TES

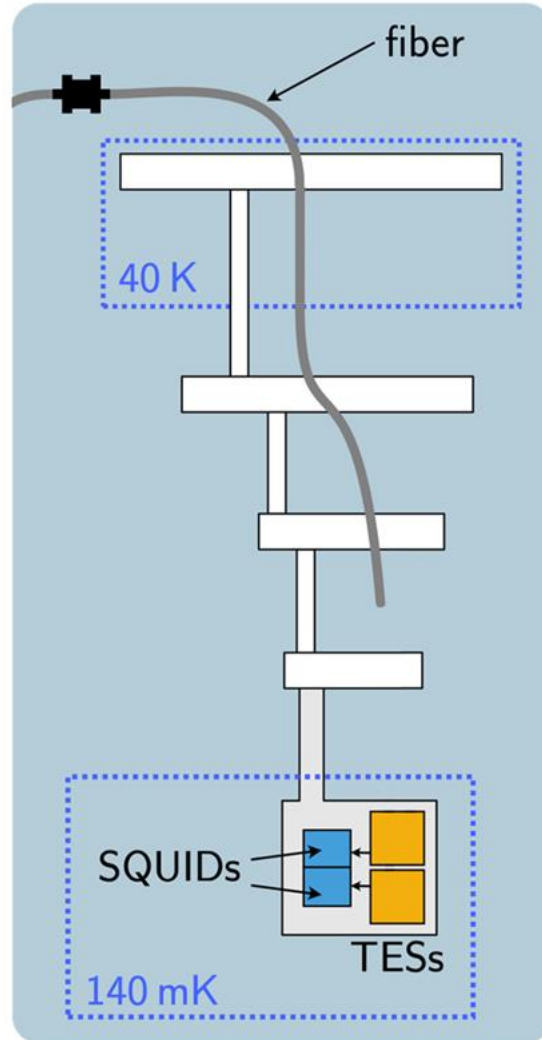
Fiber disconnected from the TES.

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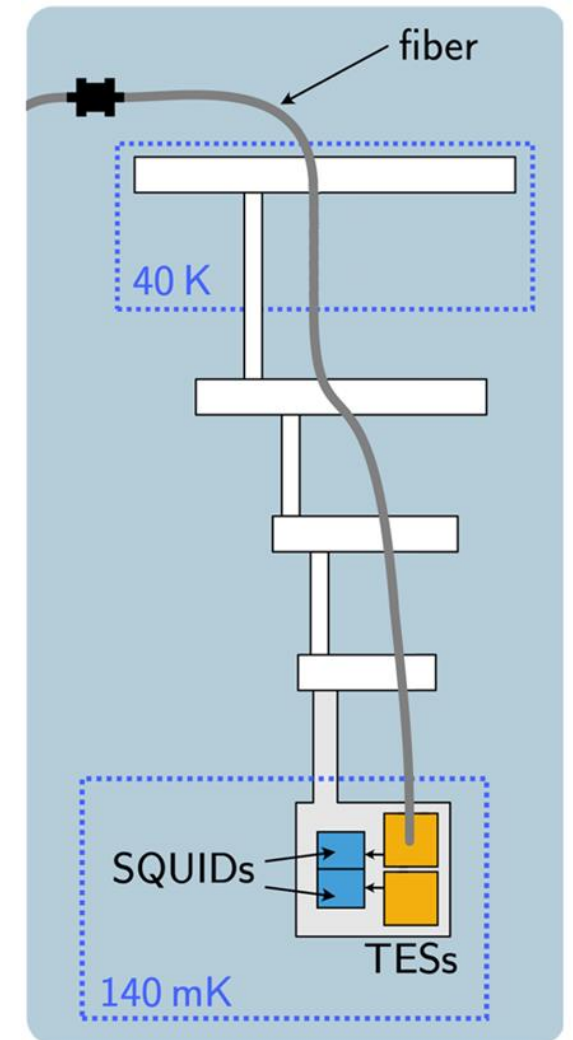
Fiber connected from the TES and other end in the dark.

The recorded rate of events in the order can be up to 10^1 cps (depends on the trigger)

Mainly Black Body Radiation coupling to the optical fiber.

TES energy resolution allows background discrimination [2]
 $< 10^{-4}$ cps @ 1064nm

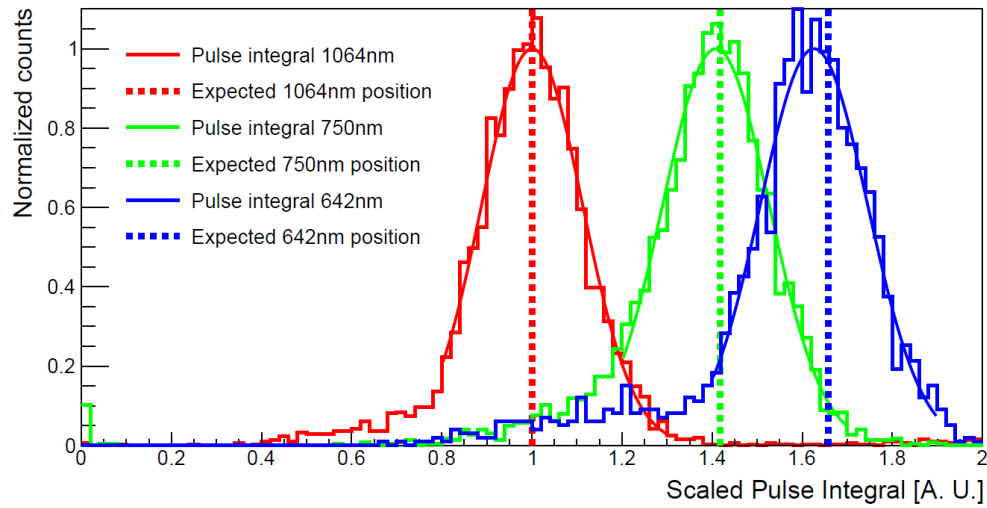
Very low background requires other strategies.



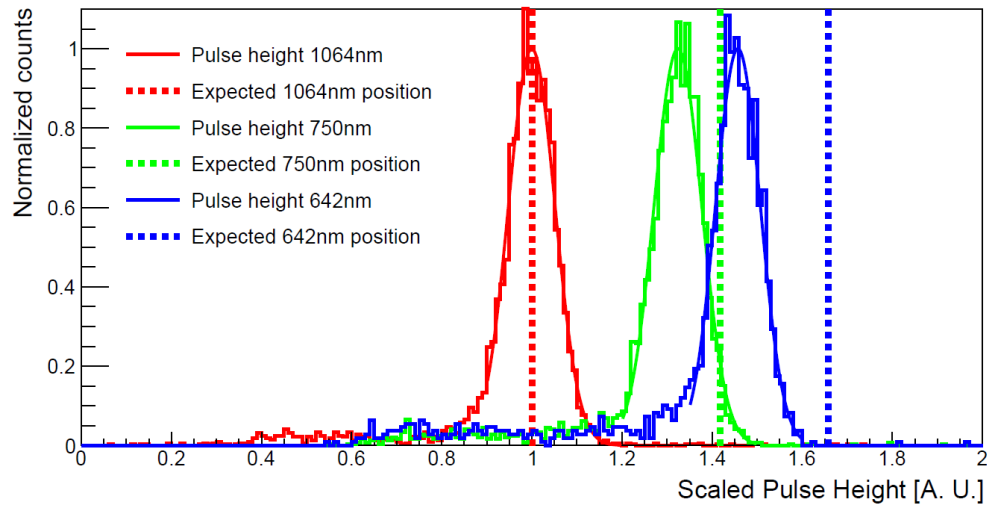
Schematic adapted from Katharina-Sophie Isleif.

Multicolor measurement with TES

- Use in energy dispersive spectroscopy for bioanalysis research and industry.
- Sensitive to different wavelengths

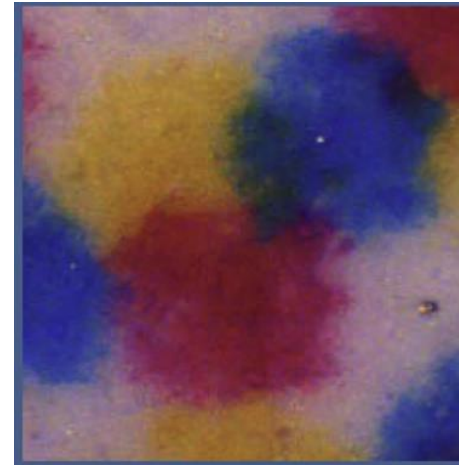


(a)

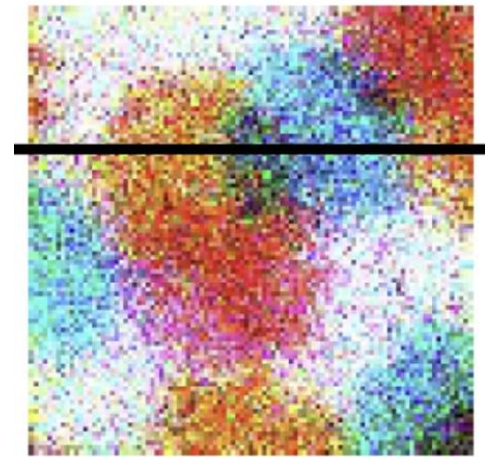


doi:10.3204/PUBDB-2024-07357

CMOS



TES



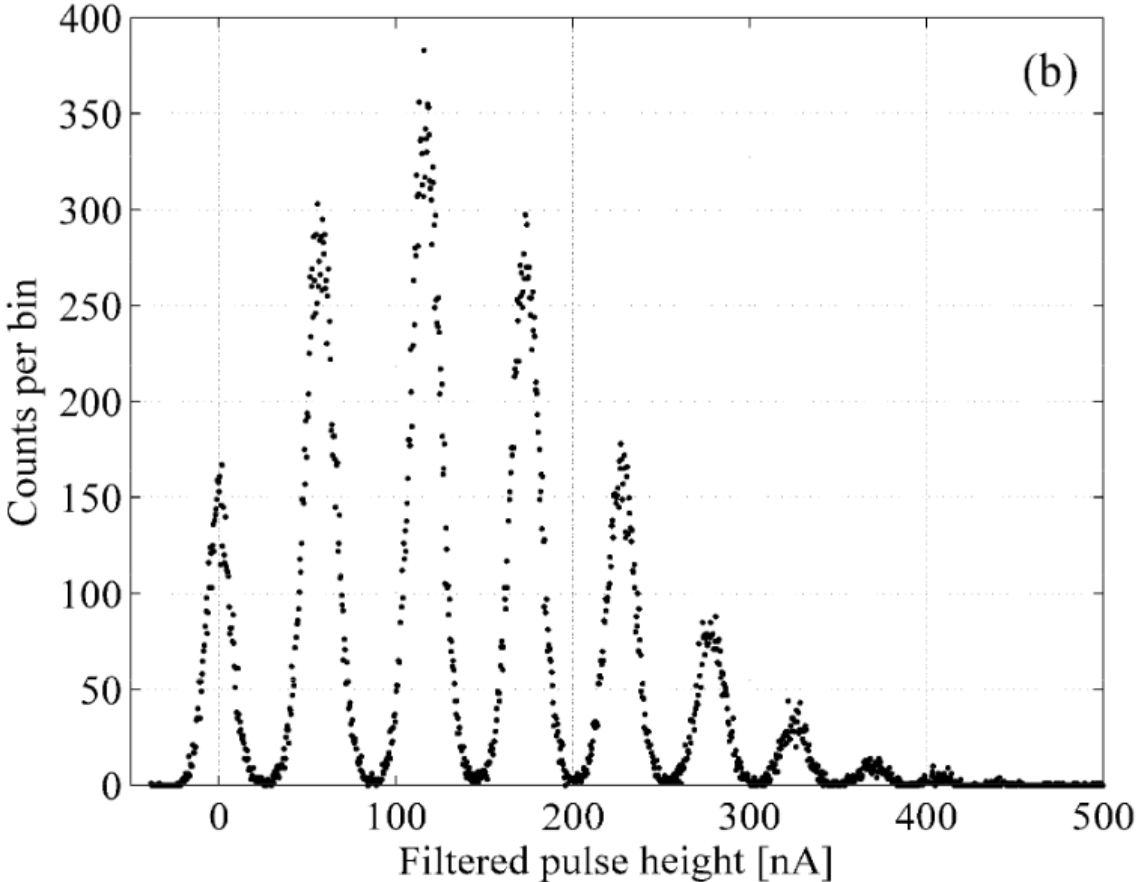
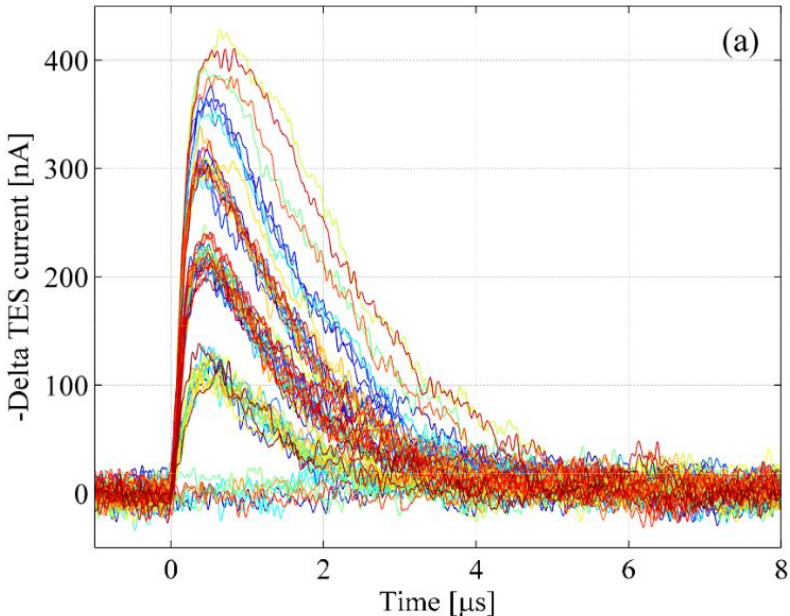
Conditions:
100x brightness
10x exposure

Exposure 8 min

doi:10.1038/srep45660

Photon Number resolution

- Near unity quantum efficiency
- Very good photon number resolution
 - Number of photons of same wavelength arriving at a given time.
- Maximum repetition rate depending on decay time of TES pulses

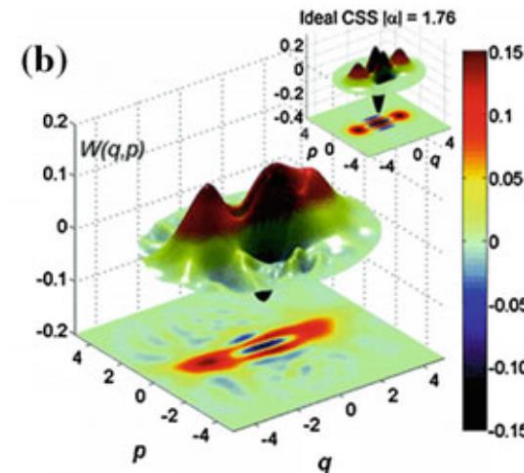
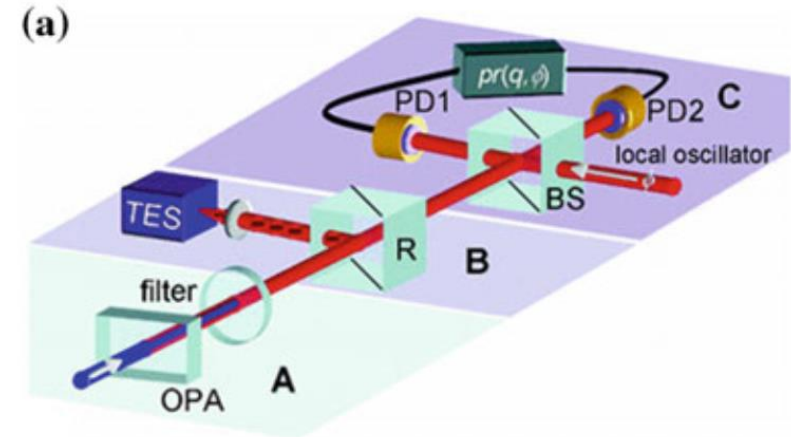


doi:10.1117/12.852221



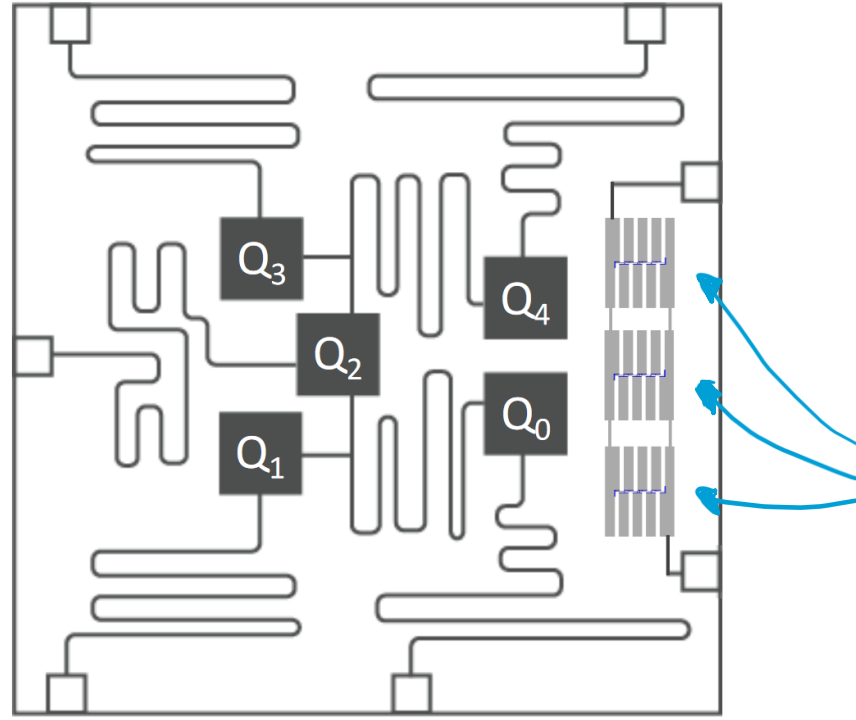
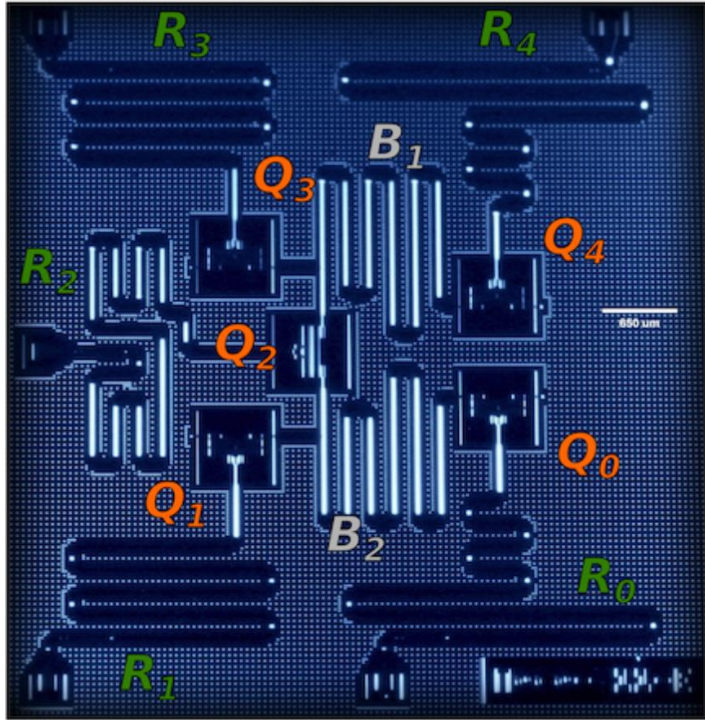
Quantum Metrology with TESs

- TES allow direct access to photon statistics from light sources.
- Possibility to study entangled and squeezed states.
- Analysis and exploration of solid-state-based quantum light sources for applications in quantum information, quantum-enhanced sensing and quantum metrology



doi:10.1103/PhysRevA.82.031802

TES in quantum computing



- Combining TES with a superconducting qubit on a shared silicon substrate.
- Idea of detecting correlated disturbances induced by the radiation.
- TES as a veto to reject the calculations that could be potentially incorrect due to an environmental disturbance.
- Monitoring with a TES has been demonstrated.

[doi:10.1103/PhysRevApplied.16.024025](https://doi.org/10.1103/PhysRevApplied.16.024025)

Towards future TESs

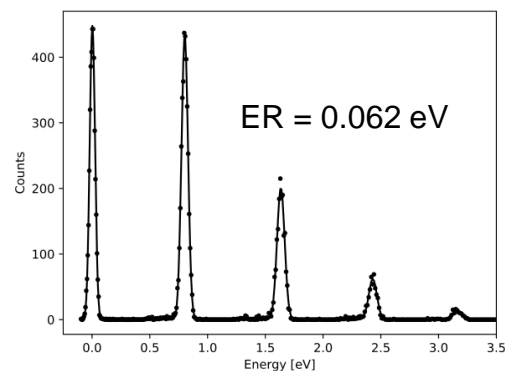
- High detection efficiency > 95%, up to 99.8% @ 1550nm
- Faster TESs
- Better energy resolution
- Improve in readout complexity
- Lower background level

Towards future TESs

- High detection efficiency > 95%
- Faster TESs
- Better energy resolution
- Improve in readout complexity
- Lower background level

An optical transition-edge sensor with high energy resolution

K. Hattori^{a,b,c} & T. Konno^a & Y. Miura^a & S. Takasu^a & D. Fukuda^{a,c}



Fast transition-edge sensors suitable for photonic quantum computing

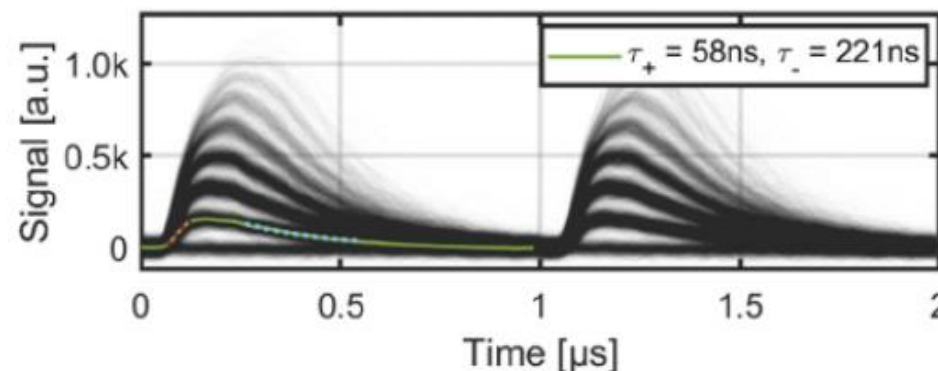
Cite as: J. Appl. Phys. 133, 234502 (2023); doi: 10.1063/50149478

Submitted: 17 April 2023 · Accepted: 25 May 2023 ·

Published Online: 16 June 2023



Ruslan Hummatov,^{1,2,a)} Adriana E. Lita,² Tannaz Farrahi,^{1,2} Negar Otrooshi,^{1,2} Samuel Fayer,³ Matthew J. Collins,³ Malcolm Durkin,^{1,2} Douglas Bennett,² Joel Ullom,² Richard P. Mirin,² and Sae Woo Nam²



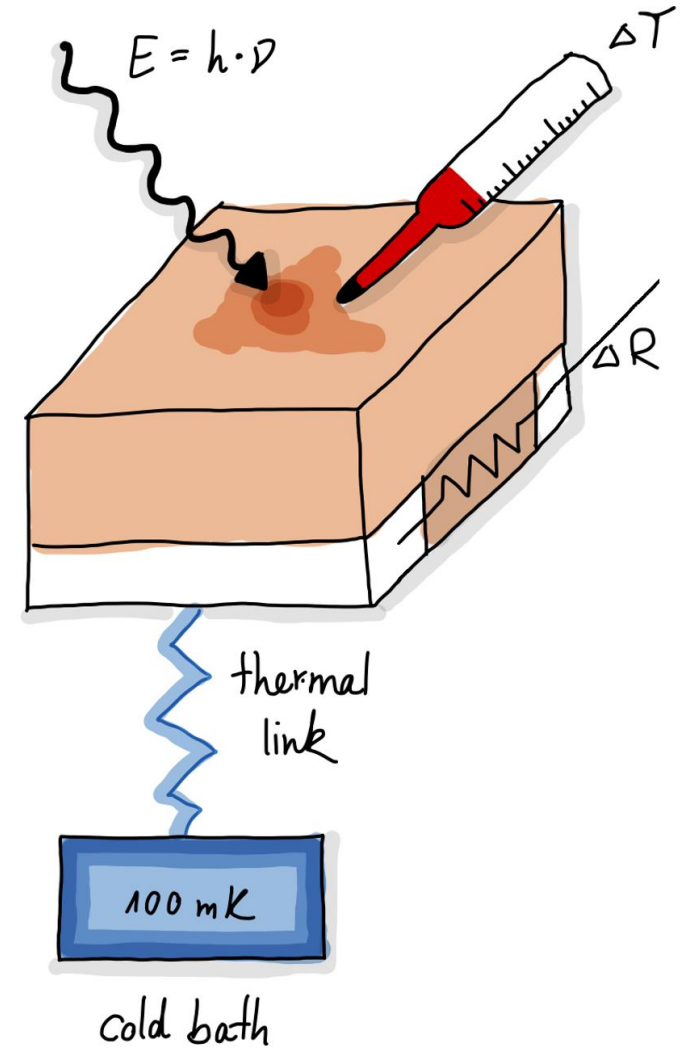
<https://doi.org/10.1038/s44172-024-00308-y>

Kinetic inductance current sensor for visible to near-infrared wavelength transition-edge sensor readout

Check for updates

Paul Szypryt^{1,2}, Douglas A. Bennett², Ian Fogarty Florang^{1,2}, Joseph W. Fowler^{1,2}, Andrea Giachero^{1,2,3}, Ruslan Hummatov^{1,2,4}, Adriana E. Lita², John A. B. Mates², Sae Woo Nam², Galen C. O'Neil², Daniel S. Swetz², Joel N. Ullom^{1,2}, Michael R. Vissers², Jordan Wheeler² & Jiansong Gao^{2,5}

Thank you!

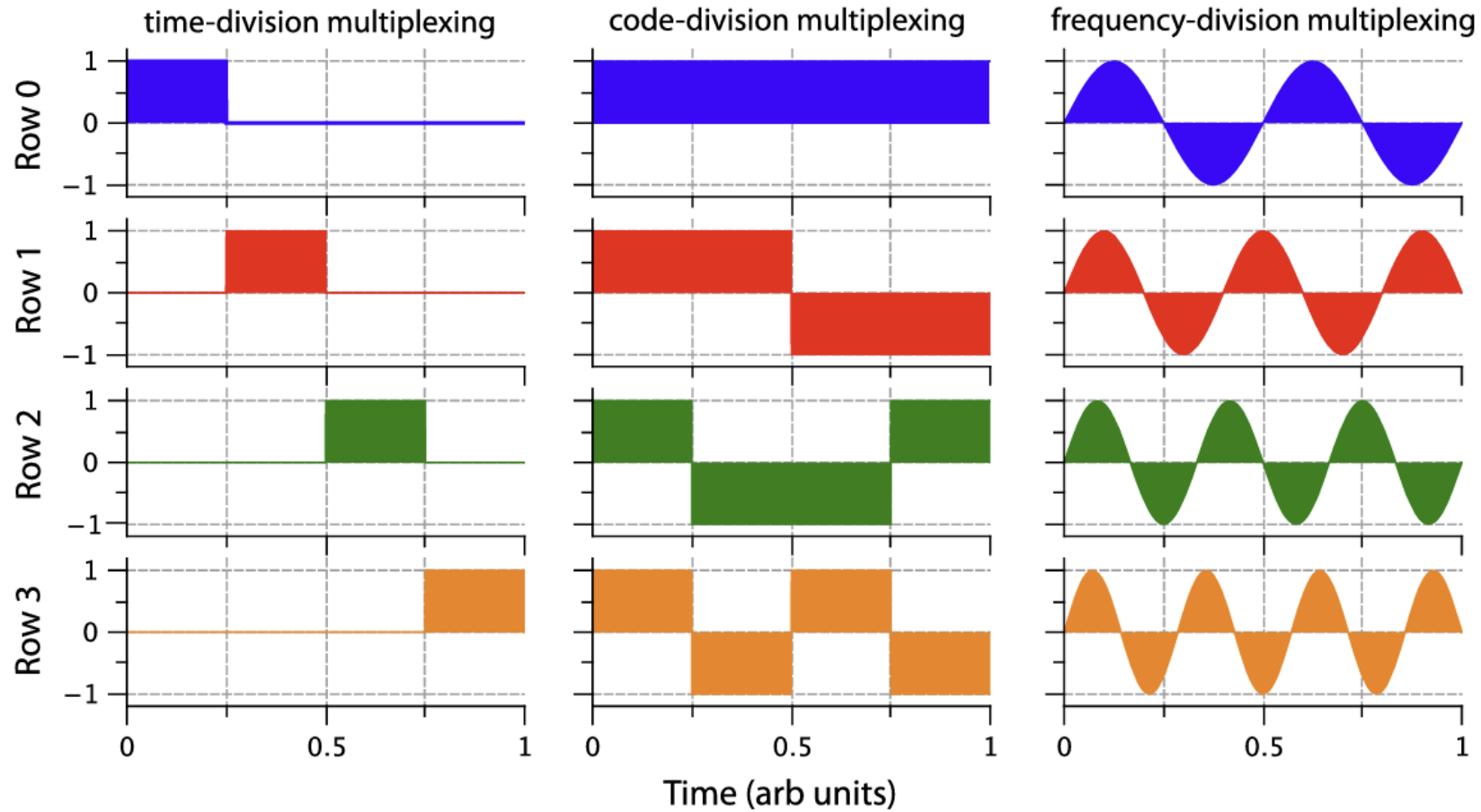


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- Transition-edge sensors, in: Cryogenic Particle Detection. http://dx.doi.org/10.1007/10933596_3
- A Review of X-ray Microcalorimeters Based on Superconducting Transition Edge Sensors for Astrophysics and Particle Physics. <https://doi.org/10.3390/app11093793>
- A high-resolution gamma-ray spectrometer based on superconducting microcalorimeters. <https://doi.org/10.1063/1.4754630>
- The Athena X-ray Integral Field Unit: a consolidated design for the system requirement review of the preliminary definition phase. <https://doi.org/10.1007/s10686-022-09880-7>
- Optimizing a Transition Edge Sensor detector system for low flux infrared photon measurements at the ALPS II experiment. <https://doi.org/10.3204/PUBDB-2024-07357>
- A TES system for ALPS II - Status and Prospects. <https://doi.org/10.22323/1.449.0567>
- Superconducting transition-edge sensors optimized for high-efficiency photon-number resolving detectors. <https://doi.org/10.1117/12.852221>
- Generation of optical coherent-state superpositions by number-resolved photon subtraction from the squeezed vacuum. <https://doi.org/10.1103/PhysRevA.82.031802>
- Sensor-Assisted Fault Mitigation in Quantum Computation. <https://doi.org/10.1103/PhysRevApplied.16.024025>
- Fast transition-edge sensors suitable for photonic quantum computing. <https://doi.org/10.1063/5.0149478>
- An optical transition-edge sensor with high energy resolution. <https://doi.org/10.1088/1361-6668/ac7e7b>
- Kinetic inductance current sensor for visible to near-infrared wavelength transition-edge sensor readout. <https://doi.org/10.1038/s44172-024-00308-y>

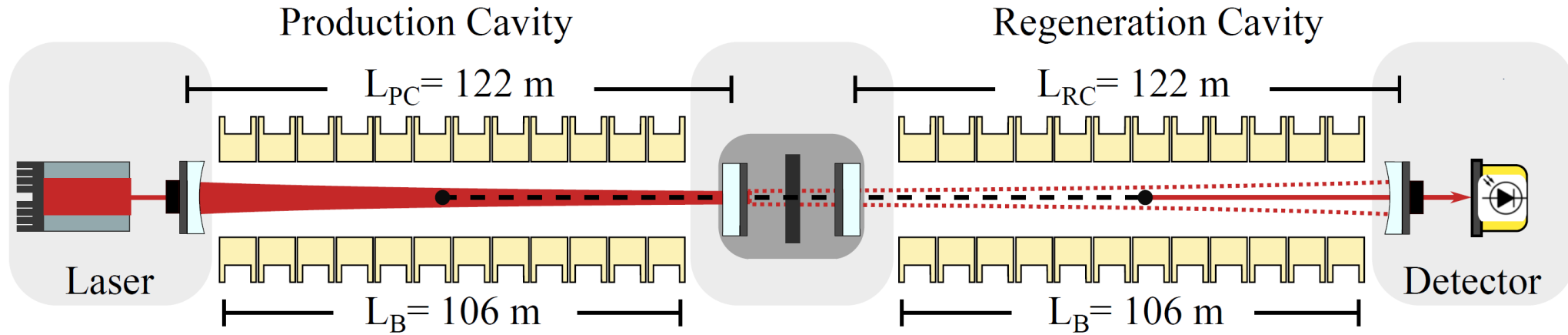
Backup

SQUID multiplexing



Also, microwave KID
And microwave SQUID

Any Light Particle Search II (ALPS II)



$$p_{\gamma \rightarrow a \rightarrow \gamma} = 8 \cdot 10^{-26} \frac{\beta_{PC}}{5000} \frac{\beta_{RC}}{16000} \left(\frac{g_{a\gamma\gamma}}{0.2 \cdot 10^{-10} \text{ GeV}^{-1}} \frac{B}{5.3 \text{ T}} \frac{L_B}{106 \text{ m}} \right)^4$$

Enhancement by
optical cavities

Motivated by astrophysics

Schematic adapted from Todd Kozlowski

Transition Edge Sensor in ALPS II

Requirements for ALPS II:

- Sensitivity to very low rates (1-2 photons a day)
- Low energy photon detection (1064nm equivalent to 1.16eV)
- Long term stability (~20 days)
- High system detection efficiency [1]
- Low background rate: $< 7.7 \cdot 10^{-6}$ cps \sim 1 photon (1064nm-like) every 2 days
 - Intrinsic [2]
 - Extrinsic
 - Good energy resolution (for background rejection) [1]

[1] J. A. Rubiera Gimeno, F. Januschek, K.-S. Isleif, A. Lindner, M. Meyer, G. Othman, C. Schwemmbauer, R. Shah, "A TES system for ALPS II - Status and Prospects", PoS EPS-HEP2023 (2023) 567. <https://doi.org/10.22323/1.449.0567>
[2] Rikhav Shah, Katharina-Sophie Isleif, Friederike Januschek, Axel Lindner and Matthias Schott, "TES Detector for ALPS II", Proceedings of The European Physical Society Conference on High Energy Physics, Volume 398, Page 801, (2022); <https://doi.org/10.22323/1.398.0801>

Extrinsics background

