

INFN **NEUROMORPHIC READOUT** FOR HOMOGENEOUS HADRON CALORIMETERS

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INTRODUCTION **GOAL OF THE PROJECT**

Investigating the readout of light signals from hadronic showers in a homogeneous calorimeter by a network of **nanowires** communicating through the time-encoding of **light pulses**.

We aim to offer:

- fast, energy-efficient local computation
- generation of informative high-level primitives using neuromorphic computing.

This work is a **proof of principle**: we want to change paradigm and demonstrate that it is possible to apply this new technology efficienctly to calorimetry.





[Carlos Larrechi, via Alamy Stock]

WHAT IS NEUROMORPHIC COMPUTING? **OVERVIEW**

- Computing approach that mimics the structure and function of the human brain using artificial neurons and synapses.
- Studies both new software and hardware solutions
- More difficult to train, but provides multiple advatages...



Neuromorphic systems have extremely **low power consumption** and implement an event-driven processing, so that they activate only when there is a stimulus

REAL-TIME PROCESSING:

Provide extremely fast processing times and reduce latency, enabling very fast responses

ROBUSTENESS: inspiration







Inherently **resilient to noise** and faulty signals thanks to brain

WHAT IS NEUROMORPHIC COMPUTING? **SPIKING NEURAL NETWORKS**

SNNs follow the same principle of usual ANNs, but with some key differences...



[J. K. Eshraghian et al. (2023). "Training Spiking Neural Networks Using Lessons From Deep Learning," Proceedings of the IEEE. doi: 10.1109/JPROC.2023.3308088.





Membrane Potential

Each neuron has a membrane potential, which integrates incoming spikes over time.

When the accumulated potential crosses a threshold, the neuron generates a spike and resets its membrane potential.

For LIF neurons:

 $U[t+1] = eta U[t] + WX[t+1] - S[t]U_{ ext{thr}}$ input if $U[t] > U_{\text{thr}}$ otherwise

HOW WILL IT LOOK LIKE? HARDWARE IMPLEMENTATION

Implements a **multilayer** approach:

- 1. Multi-nanowire photo detection layer
- 2. Waveguiding broadcast signals
- 3. Learning layer, using photo switchable molecules
- 4. Output layers, which moves data in external device

All computation happens locally and with **no transduction** (all "photonically")



[David Winge et al. (2023). "Artificial nanophotonic neuron with internal memory for biologically inspired and reservoir network computing." Neuromorph. Comput. Eng. 3 034011, <u>doi:10.1088/2634-4386/acf684</u>]



TEST CASE HADRONIC CALORIMETER

Let's simulate a highly granular calorimeter



E. Lupi, DRD6 Collaboration Meeting, 1 Nov. 2024



Segmented readout: 10 x 10 light sensors grid on the upper face of each cubelet. Sensors are blind to the light coming from other cubelets (all other sides are reflective)



All deposited energy is converted into photons which travel isotropically in all directions

TEST CASE LIGHT SIGNAL PROCESSING

Photons are collected by the light sensors for T_{max} = 20 ns The signal is discretized into N_t = 100 bins of Δt = 0.2 ns

Here is an example of a recorded event:



Integrated Views





ENERGY REGRESSION TASK THE OBJECTIVE

The first task is regressing the energy released inside one cubelet.





The values span various orders of magnitude, from a couple of MeV to tens of GeV.

→ It is easier to work in **logarithmic** scale

ENERGY REGRESSION TASK SPIKE ENCODING

As mentioned previosuly, incoming data should be converted into a spiketrain.

Easiest solution:

- **One afferent** (i.e. information-carrying lines). per channel
- Create spike if enough photons reach sensor in that timestep $S[t] = \begin{cases} 1, & \text{if } N_{ph}[t] \ge N_{thr} \sim 300\\ 0, & \text{otherwise} \end{cases}$

⇒ No way to distinguish intensity!



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Four afferents per readout light sensor:

• Create spike if enough photons reach sensor in that timestep with different thresholds per afferent

$$S^{(i)}[t] = \begin{cases} 1, & \text{if } N_{ph}[t] \ge 10^{i+2} \\ 0, & \text{otherwise} \end{cases}, \quad i = 0, 1, 2, 3$$

⇒ Spikes carry information about **time and intensity**

x100





ENERGY REGRESSION TASK OUTPUT DECODING

The network does not give us a numerical value like ANNs... How do we obtain the energy value? We can exploit two quantities:

Membrane Potential

Use the value of the output neurons's membrane potential at the last timestep

$$\hat{E} = U[N_t]$$

Use the mean from
$$r_{1}$$

$$N_t \cdot J$$



Output Spikes

iring rate of a population of s across the inference time

$$\frac{N_t}{N_{pop}} \sum_{t=1}^{N_t} \sum_{i=1}^{N_{pop}} S^{(i)}[t]$$

ENERGY REGRESSION TASK NETWORK DESCRIPTION

Here is an overview of the overall pipeline.

Each layer uses LIF neurons with learnable U_{thr} and β parameters.





ENERGY REGRESSION TASK RESULTS

Membrane Potential





Spike Frequency

WHAT NOW? OUTLOOK

This project is the **first ever attempt** to use neuromorphic solutions for calorimetry readout!

It is still in its infancy, there are many more steps ahead:

- Next task: regression of the energy dispersion inside one cubelet. In general, we aim to discover how much information it is possible to recover using NC.
- Implementing hyperparametrs optimization: testing new network configurations, neuron models, encoding schemes... The possibilities are endless!





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BACKUP SLIDES

E. Lupi, DRD6 Collaboration Meeting, 1 Nov. 2024



WHAT IS NEUROMORPHIC COMPUTING? THE LIF NEURON MODEL

There are multiple neuron models that mostly regulate how the membrane potential evolves over time.

In this work we will adopt the **Leaky-Integrate-and-Fire** (LIF) Neuron:

- Simplest neuron model
- Based on the RC circuit, simplified and discretized over time to obtain: $U[t+1] = eta U[t] + WX[t+1] S[t]U_{
 m thr}$

$$S[t] = egin{cases} 1, & ext{if } U[t] > U_{ ext{thr}} \ ext{input} \end{bmatrix} = egin{cases} 1, & ext{if } U[t] > U_{ ext{thr}} \ 0, & ext{otherwise} \end{bmatrix}$$

[J. K. Eshraghian et al. (2023). "Training Spiking Neural Networks Using Lessons From Deep Learning," Proceedings of the IEEE. <u>doi: 10.1109/JPROC.2023.3308088</u>.]





Spike Generation

