Theory and Experiment in High Energy Physics V4-HEP workshop

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Hard diffraction in ATLAS

Maciej Lewicki

Institute of Nuclear Physics Polish Academy of Sciences



Outline

Introduction

Phenomenology overview

Experimental methods

Diffractive charm

Diffractive jets

Introduction











Forward proton scattering in a diverse physics program!

Elastic scattering

ATLAS EPJC 83 (2023) 441 ATLAS PLB 761 (2016) 158



Hard diffraction



Diffractive jets ATL-PHYS-PUB-2017-012





Leptons CMS 1803.04496 ATLAS 2009.14537

Single diffractive dissociation

ATLAS JHEP 02 (2020) 042



Heavy quarks

Goncalves et al 2007.04565 Howarth 2008.04249



W bosons

Tizchang, Etesami 2004.12203 Baldenegro et al 2009.08331



Exclusive jets

Trzebinski et al 1503.00699 Harland-Lang et al 1405.0018



Axion-like particles

Fichet et al 1312.5153 Baldenegro et al 1803.10835



Higgs boson

Cox et al 0709.3035 Heinemeyer et al 0708.3052



SUSY dark matter

Beresford & Liu 1811.06465 Harland-Lang et al 1812.04886

Hard diffraction in ATLAS



Hard diffraction in ATLAS

Phenomenology overview

- ► What is a Pomeron?
- Models of diffraction
- ► Hard diffraction
- ► Factorization and its breaking ...and its restoration

Pomeron in Regge theory





Chew & Frautschi (1961, 1962) plotted the spins of low lying mesons against square mass and noticed that they lie in a straight line:

$$a(t) = a(0) + a't$$



(asymptotic behavior):

$$\sigma_{\rm tot} \sim s^{\alpha(0)-1}$$

• Rising with \sqrt{s}

Pomeron in Regge theory



- In Regge theory scattering interpreted as exchanges of Regge trajectories (rather than individual particles)
- Chew & Frautschi (1961, 1962) plotted the spins of low lying mesons against square mass and noticed that they lie in a straight line:

$$a(t) = a(0) + a't$$



Total hadronic cross section (asymptotic behavior):

$$\sigma_{\rm tot} \sim s^{\alpha(0)-1}$$

► Rising with \sqrt{s} ⇒ there must exist a trajectory with a(0) > 1a Pomeron trajectory!

Models of diffraction

What is a **Pomeron** in **QCD**?

- "diffraction appears to be mediated by the exchange of low-x partons subject to color constraints" [hep-ph:0407035]
- vacuum quantum numbers $(J^{PC} = 0^{++})$
- simplest picture two gluons in a color singlet

3 main categories of effective models of diffraction:

- Resolved Pomeron
- ► Two-gluon (dipole) exchange
- ► Soft Color Interaction

Resolved Pomeron

- ► Ingelman-Schlein model
- ► Two different types of factorization:

1. Collinear factorization

The cross section given by a convolution of the partonic sub-process \rightarrow the same as in inelastic DIS – and diffractive parton distribution functions (DPDF) of the proton:

$$d\sigma = f_i^D(x, Q^2, x_{\mathbb{P}}, t) \otimes d\sigma_{sub}(x, Q^2)$$
proton DPDF partonic sub-proce

2. Proton-vertex factorization

Pomeron flux and its partonic structure:

$$f_i^D(x,Q^2,x_{\mathbb{P}},t) = f_{\mathbb{P}/p}(x_{\mathbb{P}},t) \cdot f_i(x/x_{\mathbb{P}},Q^2)$$



[Phys.Lett.B 152 (1985) 256-260] [Eur.Phys.J.C18:167-179,2000] [AIP Conf.Proc. 1105 (2009) 1, 248-251]

Color dipole framework

Two relevant scenarios (note that different proton remains intact): **1**.

- Fluctuation of the incoming virtual **gluon** into a heavy $q\bar{q}$ pair
- Subsequent elastic scattering of the $q\bar{q}$ dipole on the target proton
- <u>2.</u>
 - Fluctuation of the incoming virtual **photon** into a heavy $q\bar{q}$ pair
 - Subsequent interaction of the $q\bar{q}$ dipole with the parton inside the proton (proton breaks up)

[Phys.Lett.B 379 (1996) 239-248] [Phys.Lett.B 386 (1996) 389-396] [Phys.Lett.B 406 (1997) 171-177] [Phys.Rev.D 102 (2020) 7, 076020]



Soft Color Interaction

- Soft color exchange may change the topology of the created color string
- ► Hard process remains unaffected
- Natural emergence of rapidity gaps
- Similar concept used in the Generalized Area Law model (soft color exchange happens between the strings)
- SCI model has been compared to data with good agreement:
 - diffractive DIS [Edin, Ingelman, Rathsman, hep-ph/9508386, hep-ph/9602227, hep-ph/9605281, hep-ph/9912539]]]
 - hard diffraction in hadron-hadron coll. at the Tevatron [RE, Ingelman, Tîmneanu; hep-ph/0106246, hep-ph/0210408]

The SCI model reproduces diffractive rates in both DIS and hadron-hadron!

- Unified approach to both hard and soft diffractive events
- However, due to the complexity of soft interactions the model remains primarily qualitative



[Phys.Lett. B366 (1996) 371-378] [Phys.Rev. D64 (2001) 114015]

Hard diffraction

- ▶ Unlike "soft" diffraction (low *p*_{*T*}), "hard" diffraction involves **partonic interactions**
- ► Final states: high-energy jets, vector bosons, or heavy quarks.
- First observation: UA8 at SPS, $\sqrt{s} = 630 \text{ GeV}$
 - \rightarrow Jet distributions similar to inelastic parton-parton scattering
 - \rightarrow suggesting the parton scattering underneath
 - → but the scattered protons were detected in forward spectrometers!
- ▶ Ingelman and Schlein (1985) "hard Pomeron" that features a partonic structure
- It may be a different Pomeron: The probability to emit a pomeron governed by the same Regge-type formulae, → but the trajectory *a*(*t*) can be different.

Diffractive PDFs at HERA, kinematics of hard diffraction

- ► Hard diffraction measured at HERA *ep* collider
- Diffractive deeply inelastic scattering (DDIS)
- Scattering of the electron off a parton inside a pomeron emitted from the proton
- ▶ → Possible to measure the diffractive structure functions F_2^D
- Depends not only on x and Q^2 , but also on the proton kinematics: t and $x_{\mathbb{P}}$





- *t*: squared four-momentum exchanged by the proton (intact).
- ► *M_X*: invariant mass of the diffractively produced system.
- ► *x*: fraction of the proton carried by the struck quark.
- $x_{\mathbb{P}} = \xi$: momentum fraction lost by the proton.
- ▶ $\beta = \frac{x}{\xi}$: fraction of the Pomeron momentum carried by the struck parton. Hard diffraction in ATLAS



Factorization breaking

- CDF at Tevatron: factorization does not hold in hadron-hadron collisions
- Additional soft interactions (either in the initial or final states) may spoil the rapidity gap and break up the outgoing proton
- Overall suppression factor little dependence on the kinematics of the interaction or its type
- Suppressed approximately by a factor of 10 at the Tevatron with respect to HERA.



Gap survival

- Soft survival probability factor ⟨S⟩² = probability that the event with rapidity gaps survives the soft exchanges
- (Mostly) **independent on the details of the process** (i.e. does not depend on ξ, t, β, Q^2)
- ► Gap survival probability estimate is crucial for hard diffraction
- Non-perturbative nature: model-dependent, difficult to obtain for all processes.

Restoring the factorization

- If an additional soft exchange between the protons occurs, it spreads over the whole rapidity region
- ► For events with **two rapidity gaps** (DPE):
 - either both rapidity gaps survive, or
 - both are spoiled at the same time
- The structure function measured in DPE events where already one gap was present agreed with the HERA expectation → no factorization breaking!



Experimental methods



- + historically used for diffractive pattern recognition
- + no need for additional detectors
- gap is frequently destroyed (pile-up, rescattering)
- gap may be out of acceptance
- gap may be a statistical fluke

M. P. Lewicki

[ATLAS, Eur.Phys.J.C 72 (2012) 1926] [ATLAS, Phys.Lett.B 754 (2016) 214-234]

Measuring forward protons:

- + **Protons measured directly** (deflection $\rightarrow \vec{p}, E$)
- + Suitable for pile-up environment
- Protons are scattered at very small angles
- Additional detectors required
 - \rightarrow far downstream.

 ∞



Roman Pot in action





















ratio of protons with a given (ξ, p_T) that reached the detector to the total number of the scattered protons having given (ξ, p_T)

Mass acceptance:

mass of central system when both protons are tagged in Roman pot

Hard diffraction in ATLAS



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Hard diffraction in ATLAS

Backgrounds and its reduction



- ► Multiple *p*+*p* collisions happening in the ATLAS detector at the same time (pile-up).
- **Background**: in a pile-up environment there are usually multiple diffractive events happening.
- Which vertex corresponds to the measured forward proton?
- Main tools for background suppression:
 - data taking in special low-pile-up runs (price is statistics),
 - **ToF measurement** (only for double-tag events),
 - kinematic match of forward proton and central system (only for exclusive processes).

Hard diffraction in ATLAS

Reducing physics background with ToF



- Calculate vertex position: $z_{\text{ToF}} = \frac{c}{2}\Delta t$
- Compare z positions reconstructed by ATLAS and AFP ToF:

400

2017

67 ± 12

Diffractive charm

Why open charm?

- cc̄ production lowest-mass process involving hard-scale
- Probing the nature of Pomeron, testing alternative approaches (e.g. Soft Color Interaction)
- ► Testing the **factorization theorem**
- Diffractive events identified with forward proton tag with AFP



Unique class of events:

- i) accessible within perturbative QCD framework,
- ii) characterized by high exepected cross-section,
- iii) possible to be studied in a clean, low background experimental environment low pile-up

Phenomenology perspective

Specifics of charm production:

- At LHC, **large cross-sections** are expected from QCD.
 - \rightarrow background can be reduced with special, low pile-up runs
 - \rightarrow identification of diffractive events possible with intact protons
- Lesson from data on inclusive charm production: QCD LO collinear approach works rather poorly – higher order corrections are needed (e.g. k_t factorization).
- There exists a wide range of model predictions (next slides).

Discovery potential:

- ► Tests of factorization theorem(s).
- ► Probing the **nature of the Pomeron**.
- Measurement of diffractive charm production may pin down the mechanism of diffractive production large differences in predicted cross-sections.

Measurement Feasibility

Excellent data to be studied:

- ► LHC Run 2 (2017): 100 nb^{-1} at $\mu \sim 0.05$, 500 nb^{-1} at $\mu \sim 0.3$, 650 nb^{-1} at $\mu \sim 1$, 150 pb^{-1} at $\mu \sim 2$.
- LHC Run 3 (2022): 0.46 nb⁻¹ at μ ~ 0.005 34.6 nb⁻¹ at μ ~ 0.05 170 nb⁻¹ at μ ~ 0.02
- LHC Run 3 (2023): 175 nb⁻¹ at µ ~ 1 29 nb⁻¹ at µ ~ 0.2 61 nb⁻¹ at µ ~ 0.05

 Feasibility studied with simulations (JHEP 02 (2017) 089)



• Dedicated triggers: track with min. $p_T = 2, 4, 6, 8 \text{ GeV}/c$, single-side tag in AFP track with min. $p_T = 2, 4, 6, 8 \text{ GeV}/c$, double-sides tag in AFP

Diffractive jets

Single Diffractive Jet Production

Motivation:

- measure cross section and gap survival probability,
- ► search for the presence of an additional contribution from Reggeon exchange,
- check Pomeron universality between ep and pp colliders

Measurements from CMS already available (8 TeV): EPJC 80 (2020) 1164



Double Pomeron Exchange Jet Production

Motivation:

- measure cross section and gap survival probability,
- ▶ search for the presence of an additional contribution from Reggeon exchange,
- ► investigate gluon structure of the Pomeron.



Exclusive Jet Production



Thank you for your attention!

BACKUP SLIDES

Elastic and diffractive processes are intimately linked to our basic understanding of physics:

Fundamental questions:

- ► Color Confinement
- ► Hadronic mass generation
- Non-perturbative vs perturbative degrees of freedom
- ► Strong / weak coupling and super-gravity

Practical concerns:

- ► Modelling pile-up at the LHC
- Luminosity monitoring
- Modelling cosmic ray air showers

Single Diffraction



$$\sigma(h_1h_2 \to XQ\bar{Q}Y_h_2) = \int dx_1 \int dx_2 \ g_1(x_1,\mu^2) \ g_2^D(x_2,\mu^2) \ \hat{\sigma}(gg \to Q\bar{Q})$$

- ► The dominant contribution in SD processes at the LHC.
- Gay Ducati *et al.*, Phys.Rev.D 81 (2010) 054034 14 TeV, Resolved Pomeron, $\sigma_{\gamma p} = 178 \ \mu b \ (R_{c\bar{c}} = 2.3\%)$
- Kopeliovich et al., Phys.Rev.D 76 (2007) 034019: Dipole, Leading Twist Mechanisms
- ► Luszczak *et al.*, Phys. Rev. D 91, 054024 (2015): Resolved Pomeron, 14 TeV, |y| < 2.5, $p_T > 3.5$ GeV, $D^0 + \bar{D^0}$, $\sigma_{\mathbb{P}p} = 3555$ nb.
- Luszczak et al., JHEP 02 (2017) 089: k_t -factorization, 13 TeV, |y| < 2.1, $p_T > 3.5$ GeV, $D^0 + \overline{D^0}$, $\sigma_{Pn}^{SD} = 3-4 \ \mu b$
- ► Siddikov *et al.*, Phys.Rev.D 102 (2020) 7, 076020: Dipole Model, 13 TeV, $R_{c\bar{c}}=1.6\% \rightarrow \sigma_{\mathbb{P}p} \approx 135\mu b$ predictions regarding charged particle multiplicity dependence
- 2. Single diffraction, γ -p process

$$\sigma(h_1h_2 \to XQ\bar{Q}_h_2) = \int dx_1 \int dx_2 \ g_1(x_1,\mu^2) \ \gamma_2(x_2,\mu^2) \ \hat{\sigma}(\gamma g \to Q\bar{Q})$$

- Strong electromagnetic fields arising around the proton due to relativistic effects may interact directly with the partons inside the proton.
- Goncalves *et al*, Nucl.Phys.A 976 (2018) 33-45:
 13 TeV, |y| < 10, Dipole Model, σ_{γp} = 1030 (b-CGC) 1140 (IP-SAT) nb



Hard diffraction in ATLAS

Central Diffraction



3. Central diffraction with double $\mathbb P$ exchange

$$\sigma(h_1h_2 \to h_1 _ XQ\bar{Q}Y_h_2) = \int dx_1 \int dx_2 \ g_1^D(x_1,\mu^2) \ g_2^D(x_2,\mu^2) \ \hat{\sigma}(gg \to Q\bar{Q})$$

- Gay Ducati, *et al.*, Phys. Rev. C 83, 014903 (2011): 14 TeV, Resolved Pomeron $\sigma_{\mathbb{PP}} = 13.6 \ \mu b \ (R_{cc} = 0.17\%)$
- Luszczak *et al.*, Phys. Rev. D 91, 054024 (2015): 14 TeV, Resolved Pomeron, |y| < 2.5, $p_T > 3.5$ GeV, $D^0 + \overline{D^0}$, $\sigma_{\mathbb{PP}} = 177$ nb.

4. Central diffraction in γ , \mathbb{P} exchange



$$\sigma(h_1h_2 \to h_1 _Q\bar{Q}Y_h_2) = \int dx_1 \int dx_2 \ \gamma_1(x_1,\mu^2) \ g_2^D(x_2,\mu^2) \ \hat{\sigma}(\gamma g \to Q\bar{Q})$$

- Goncalves *et al*, Nucl.Phys.A 1000 (2020) 121862: *pp* @ 13 TeV, Exclusive, $|\eta| < 2.5$, Dipole Model $\sigma_{\gamma P} = 83.2-117.9$ nb
- ► Goncalves *et al*, Phys.Rev.D 85 (2012) 054019: pp @ 14 TeV, Dipole Model, $\sigma_{\gamma P} = 161$ nb pp @ 14 TeV, Resolved Pomeron, $\sigma_{\gamma P} = 1208$ nb

Central Diffraction (contd.)



5. Central exclusive production in the electromagnetic channel

$$\sigma(h_1h_2 \to h_1 _Q\bar{Q}_h_2) = \int dx_1 \int dx_2 \ \gamma_1(x_1,\mu^2) \ \gamma_2(x_2,\mu^2) \ \hat{\sigma}(\gamma\gamma \to Q\bar{Q})$$

• The term $\hat{\sigma}(\gamma\gamma \rightarrow Q\bar{Q})$ is heavily suppressed due to presence of two EM vertices, thus it is not expected to contribute significantly to the signal measured experimentally.



6. Central exclusive production in the strong channel

 $\sigma(h_1h_2 \to h_1 _Q\bar{Q}_h_2) \propto \hat{\sigma}(gg \to Q\bar{Q})$

- Maciuła *et al.*, Phys.Lett.B 685 (2010) 165-169:
 2 TeV: R_{cc̄} = 1%
- Gay Ducati, *et al.*, Phys. Rev. C 83, 014903 (2011): 14 TeV: σ_{PP} = 0.53 μb (R_{cc̄} = 0.007%)

Measurement

ATLAS

- Low-p_T charged particle tracking (down to 100 MeV)
- Calorimeter acceptance |η| < 4.9 (rapidity gaps)
- ► Dedicated triggers
- Advanced vertex & track reconstruction software



//// ////→

AFP

- Forward proton tagging with Roman Pot technology
- ► 3D pixel silicon tracker → precise reco. of kinematics
- Acceptance: $0.02 \leq \xi = 1 - E_{\text{proton}}/E_{\text{beam}} \leq 0.15$
- ► High efficiency, low background

Targeted decay modes:

- $\blacktriangleright D^{*\pm} \to D_0 \pi \to K \pi \pi$
- ► $D^{\pm} \rightarrow K\pi\pi$
- ► $D_s^{\pm} \to KK\pi$
- ► $\Lambda_C \rightarrow pK\pi$