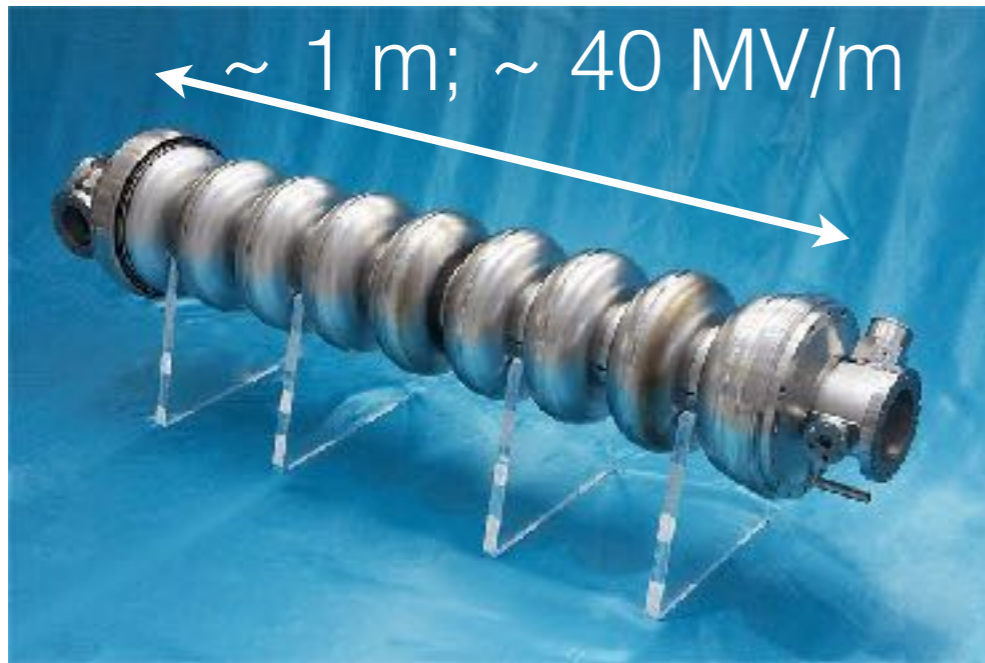


Introduction to plasma wakefield acceleration

Stuart Mangles

The John Adams Institute for Accelerator Science
Imperial College London

plasma as an accelerator

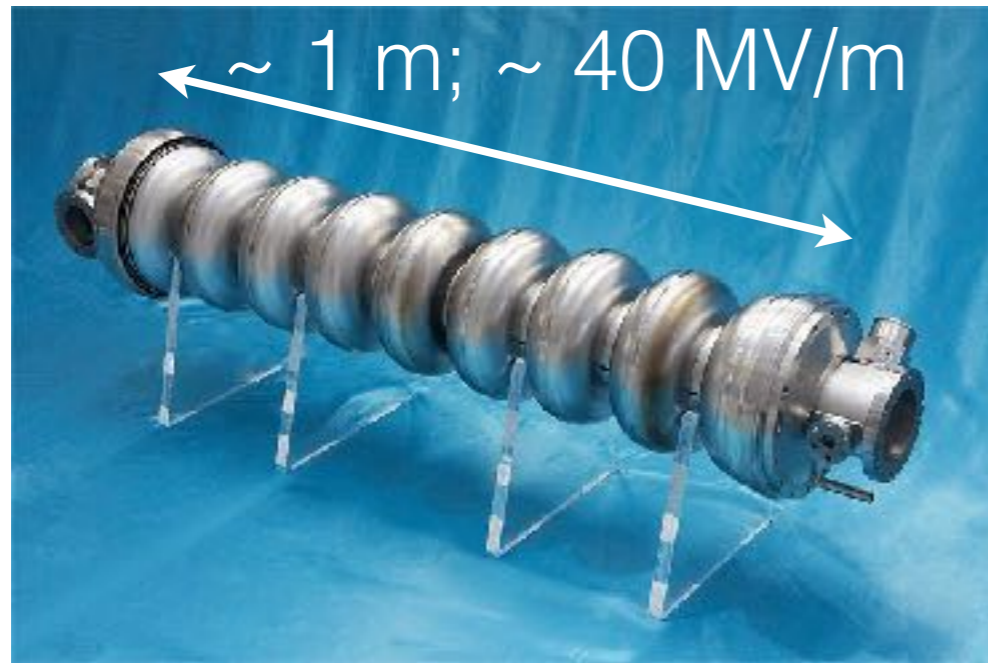


a section of RF cavity

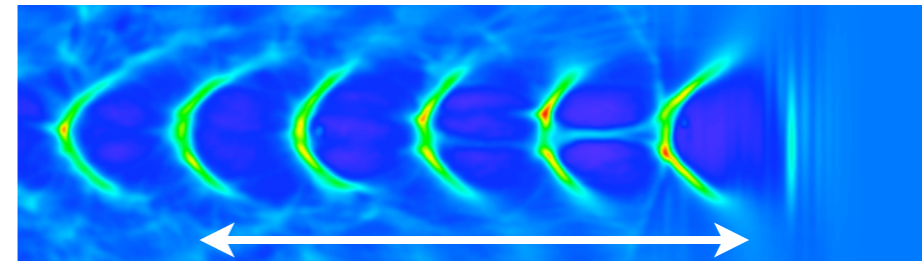
a plasma wave

- ▶ Conventional Accelerators are large (100 metres) and expensive 10-100M\$
- ▶ Conventional accelerators cannot achieve better than a few 10 MV/m or you get breakdown
- ▶ Plasma waves are a possible alternative - providing a route to university scale accelerators and radiation sources

plasma as an accelerator



a section of RF cavity



$\sim 50 \mu\text{m}; \sim 100 \text{ GV/m}$

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why do we want to use a laser-plasma accelerator?



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- ▶ Plasma based accelerators are a possible compact alternative
- ▶ in particular we are now quite good at accelerating electrons to ~ 1 GeV with ~ 100 TW lasers

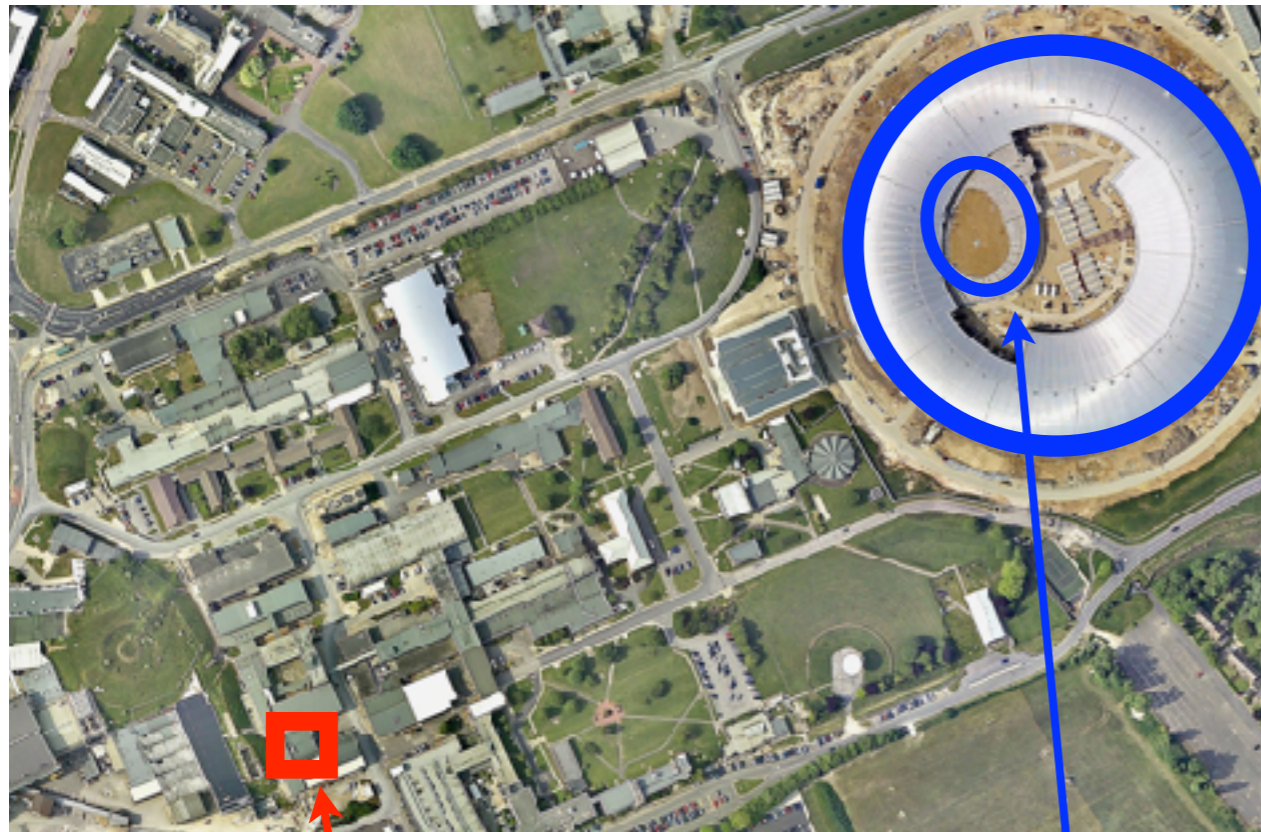
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Diamond light source
3 GeV electron beam ~ £300 M

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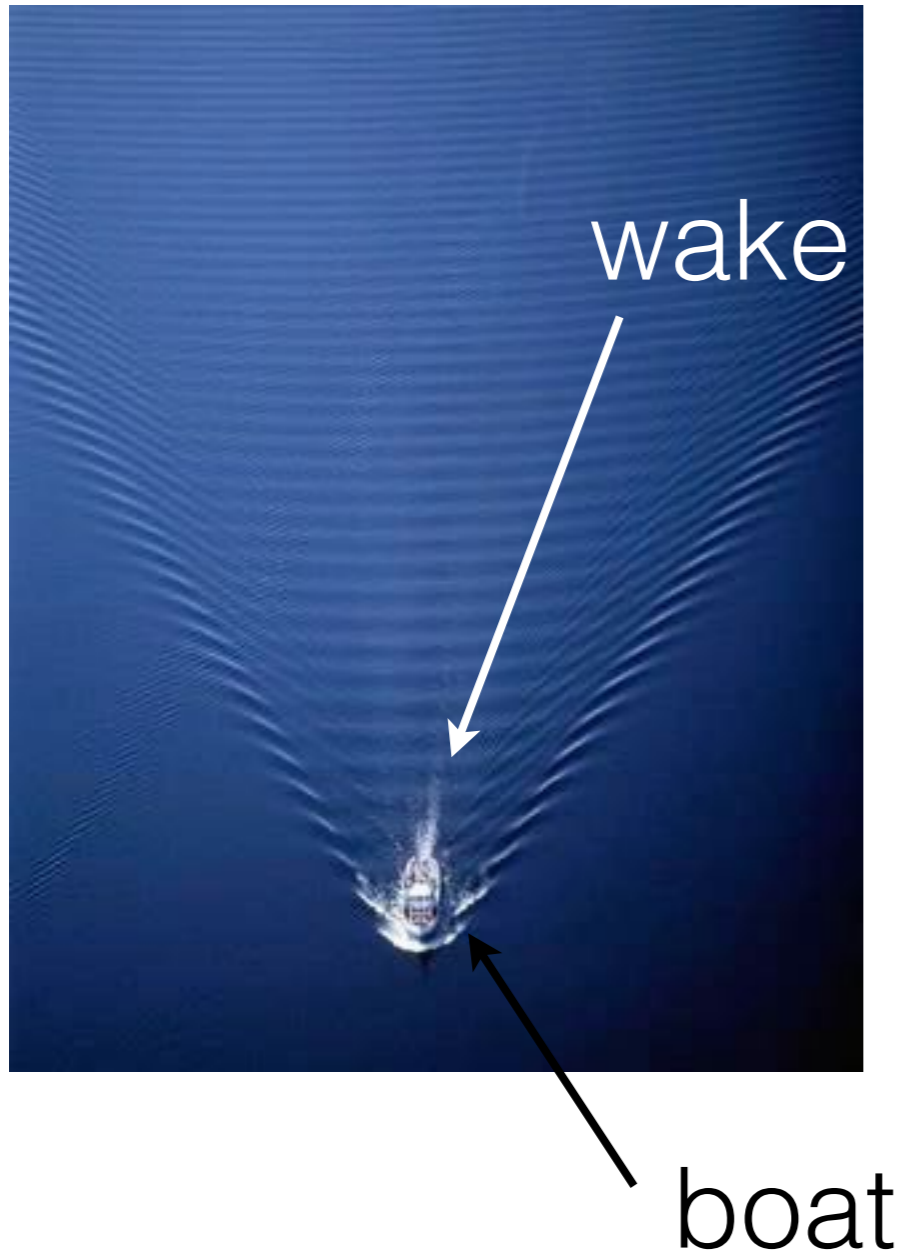


Astra Gemini Laser
1 GeV electron beam ~ £3 M

Diamond light source
3 GeV electron beam ~ £300 M

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Wakefield acceleration



- ▶ when a boat travels through water it produces a wave behind it - a 'wake'
- ▶ the phase velocity of the wave is just the speed of the boat
- ▶ so we can use a laser pulse travelling at close to c in a plasma to drive a strong wave behind it.
- ▶ The wave in this case is an electron plasma oscillation

$$\omega_p = \left(\frac{n_0 e^2}{m_e \epsilon_0} \right)^{\frac{1}{2}}$$

- ▶ Because these are high frequency oscillations the ions do not move and we can have very strong electric fields

Driving Force

- ▶ For laser wakefield accelerators wake driven by ponderomotive force

$$\frac{d\mathbf{p}}{dt} = -\frac{e^2}{2m_e\omega_0^2}\nabla\langle E^2\rangle = -\frac{e^2}{2m_e}\nabla\langle A^2\rangle = -\frac{1}{2}m_e c^2\nabla\langle a^2\rangle$$

- ▶ For particle beam drivers wake driven by space charge field of drive bunch

$$\frac{d\mathbf{p}}{dt} = -e\mathbf{E}$$

$$\left(\frac{\partial^2}{\partial t^2} + \omega_p^2\right)\frac{n_1}{n_0} = -\frac{c^2}{2}\frac{\partial^2 a_{\text{laser}}^2}{\partial x^2} - \omega_p^2\frac{n_{\text{beam}}}{n_0}$$

Ponderomotive Force

- ▶ This simple derivation was for low intensity ($a_0 < 1$) also called non-relativistic intensities ($I < 10^{18} \text{ Wcm}^{-2}$).
- ▶ How do we extend to high intensities?
- ▶ method 1) just replace $m_e c^2$ with $\gamma m_e c^2$ - but do it at the right stage

$$\mathbf{F}_p = -\frac{e^2}{2\langle\gamma\rangle m_e \omega_0^2} \nabla \langle E^2 \rangle = -\frac{1}{2} m_e c^2 \frac{1}{\langle\gamma\rangle} \nabla \langle a^2 \rangle$$

- ▶ method 2) do it properly solving the equation of motion relativistically (see Quesnel + Mora Phys Rev E 1998)

$$\mathbf{F}_p = -\frac{1}{2} m_e c^2 \frac{1}{\langle\gamma\rangle} \nabla \langle a^2 \rangle$$

Driving relativistic plasma waves



- ▶ The drive pulse of an intense laser pulse pushes away electrons just like a boat pushes away the water
- ▶ The much heavier ions are left behind - this charge separation makes a very large electric field
- ▶ As the electrons rush back to their original position they overshoot forming a plasma wave
- ▶ Plasma wave amplitude is largest if the drive duration is less than the plasma wavelength $c\tau_L < \lambda_p$

Driving relativistic plasma waves



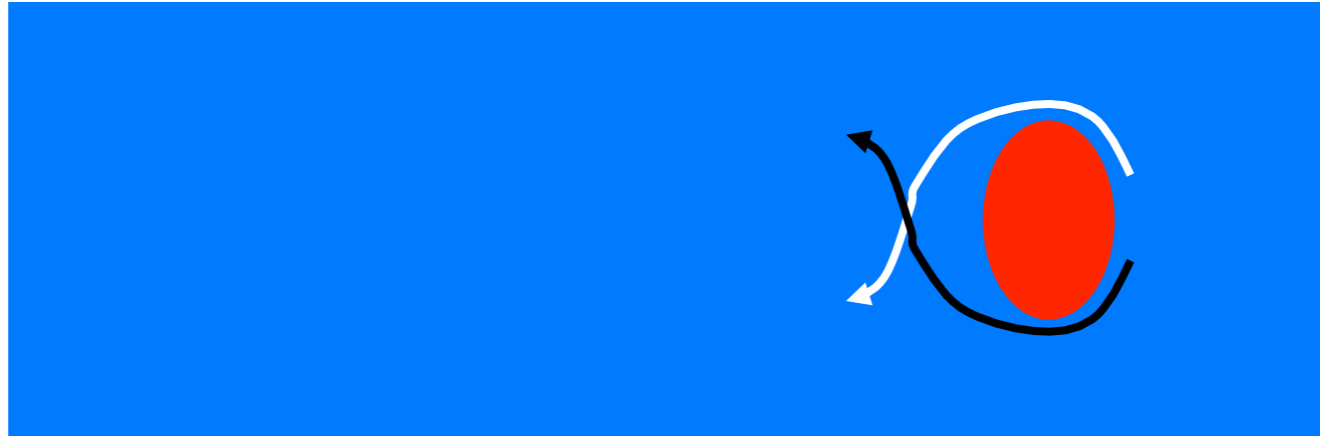
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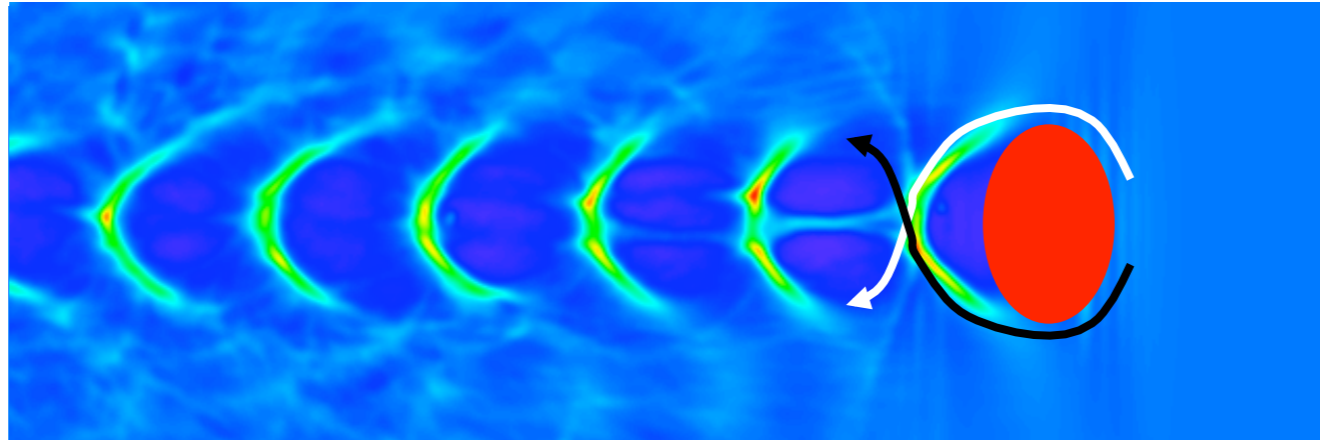
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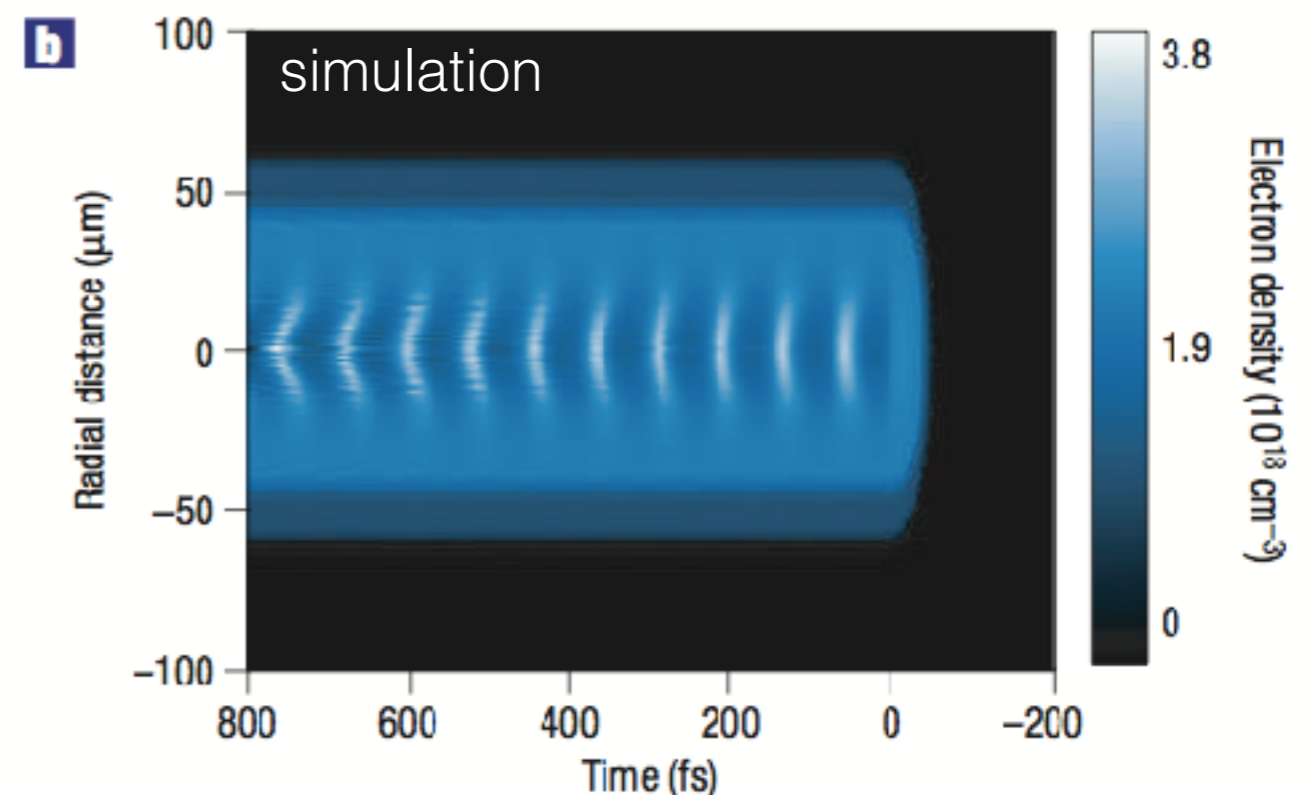
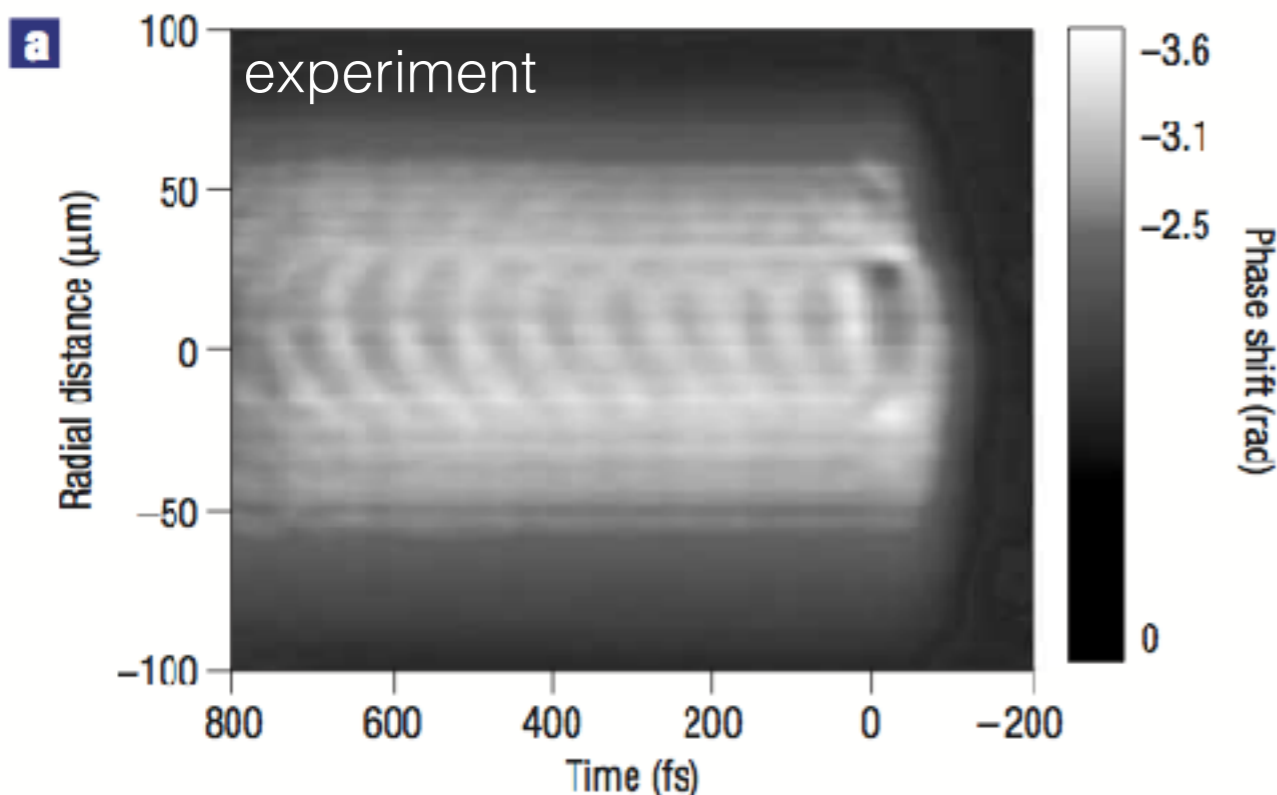
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Driving Plasma waves

- ▶ The picture of wakefield I have shown so far is from a particle-in-cell numerical simulation
- ▶ But is it possible to “see” the plasma wave directly in experiments?

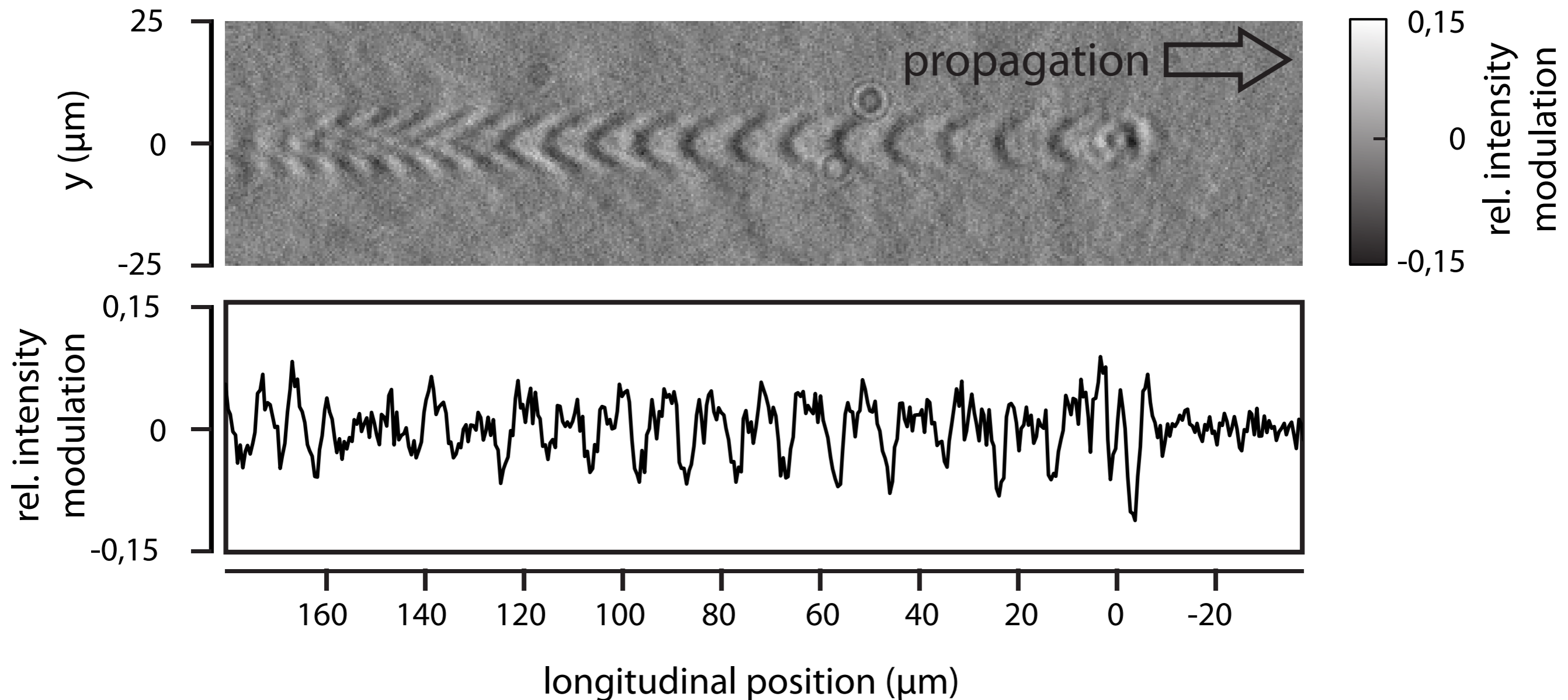
Driving Plasma waves

- ▶ The picture of wakefield I have shown so far is from a particle-in-cell numerical simulation
- ▶ But is it possible to “see” the plasma wave directly in experiments?
 - ▶ Yes! This is using a technique called Fourier domain holography (Matlis Nature Physics 2006)



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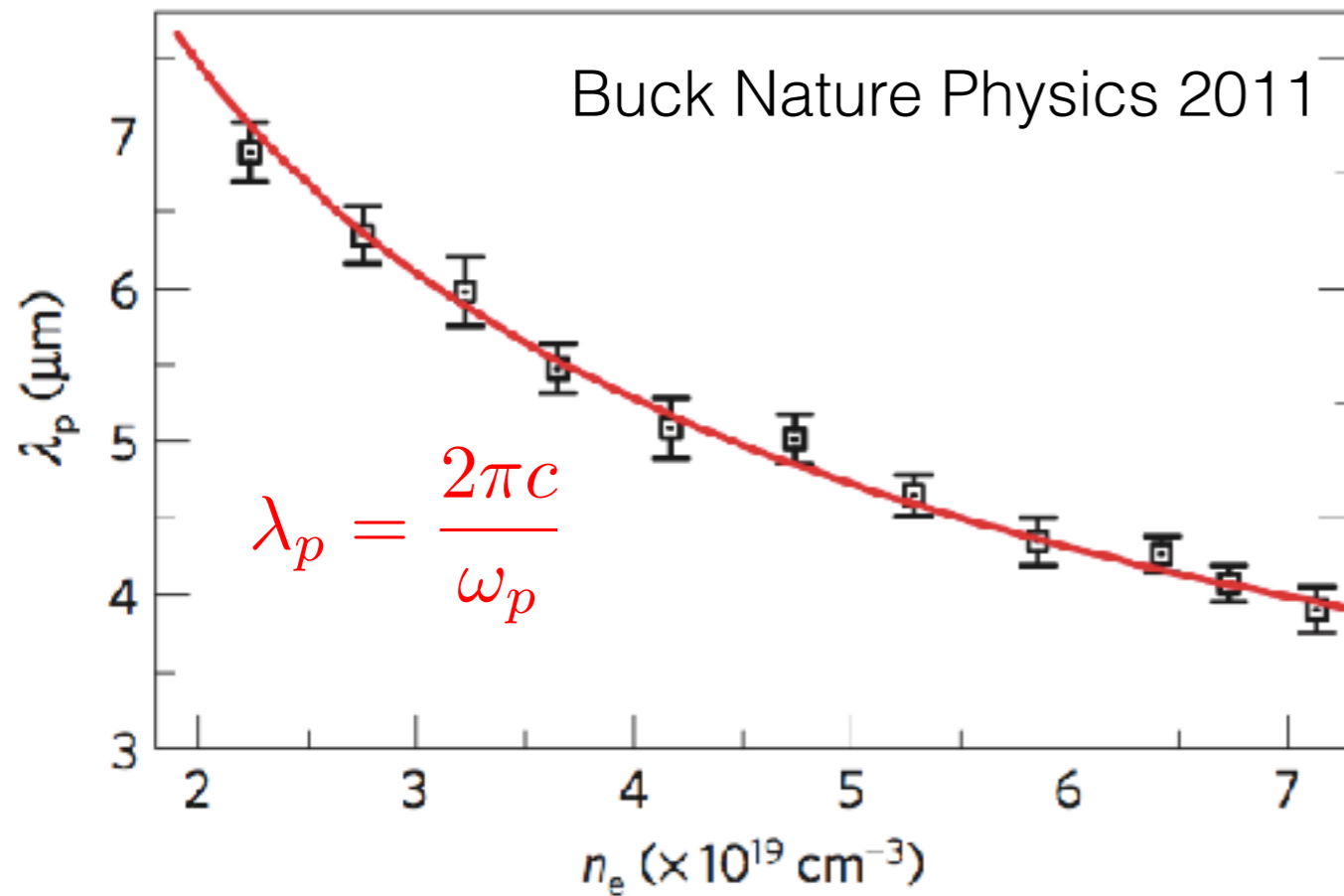


Phase velocity and wavelength of plasma waves

- ▶ The laser pulse speed determines the wavelength and phase velocity.
- ▶ Think of each electron as a separate oscillator, that is set in motion by the laser when the laser gets to it.
- ▶ If the first electron (at $z = 0$) is set in motion at $t = 0$, the next electron (at $z = \Delta z$) will start oscillating at $t = \Delta t = \Delta z/v_g$ where v_g is the velocity of the laser pulse in the plasma (group velocity)
- ▶ there will be a wave with a phase velocity of $v_p = \Delta z/\Delta t = v_g$
- ▶ The wavelength will therefore be

$$\lambda_p = \frac{2\pi v_g}{\omega_p} \simeq \frac{2\pi c}{\omega_p}$$

Phase velocity and wavelength of plasma waves



- ▶ The wavelength of plasma waves is also experimentally verifiable

$\lambda_p \simeq 10 \mu\text{m}$ at $n_e \simeq 10^{19} \text{ cm}^{-3}$
(for $\lambda = 800 \text{ nm}$ laser)

Dephasing



- ▶ electrons travel slightly faster than the wave - eventually they stop being accelerated, this is called “dephasing”

Limits to Acceleration: 1) Dephasing

- ▶ Relativistic electrons ($v_e/c = \beta_e \rightarrow 1$) accelerating in the wave will move ahead of the wave which is moving at

$$\beta_p = \frac{v_g}{c} = \left(1 - \frac{n_e}{n_c}\right)^{\frac{1}{2}}$$

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- ▶ Dephasing length < 8 mm at $n_e = 4 \times 10^{18} \text{ cm}^{-3}$
- ▶ Dephasing is the fundamental limit to energy gain in LWFA

Limits to Acceleration: 2) pump depletion

- ▶ Creating the plasma wave takes energy - this must come from the drive pulse.

$$U_{\text{plasma}} = \frac{1}{4} \epsilon_0 E_{z0}^2 \quad \text{plasma wave electric field energy density} \quad E_{z0} = \delta \frac{m_e c \omega_p}{e}$$

$$W_{\text{plasma}} = U_{\text{plasma}} A L \quad \text{energy in plasma wave cross section } A, \text{ length } L$$

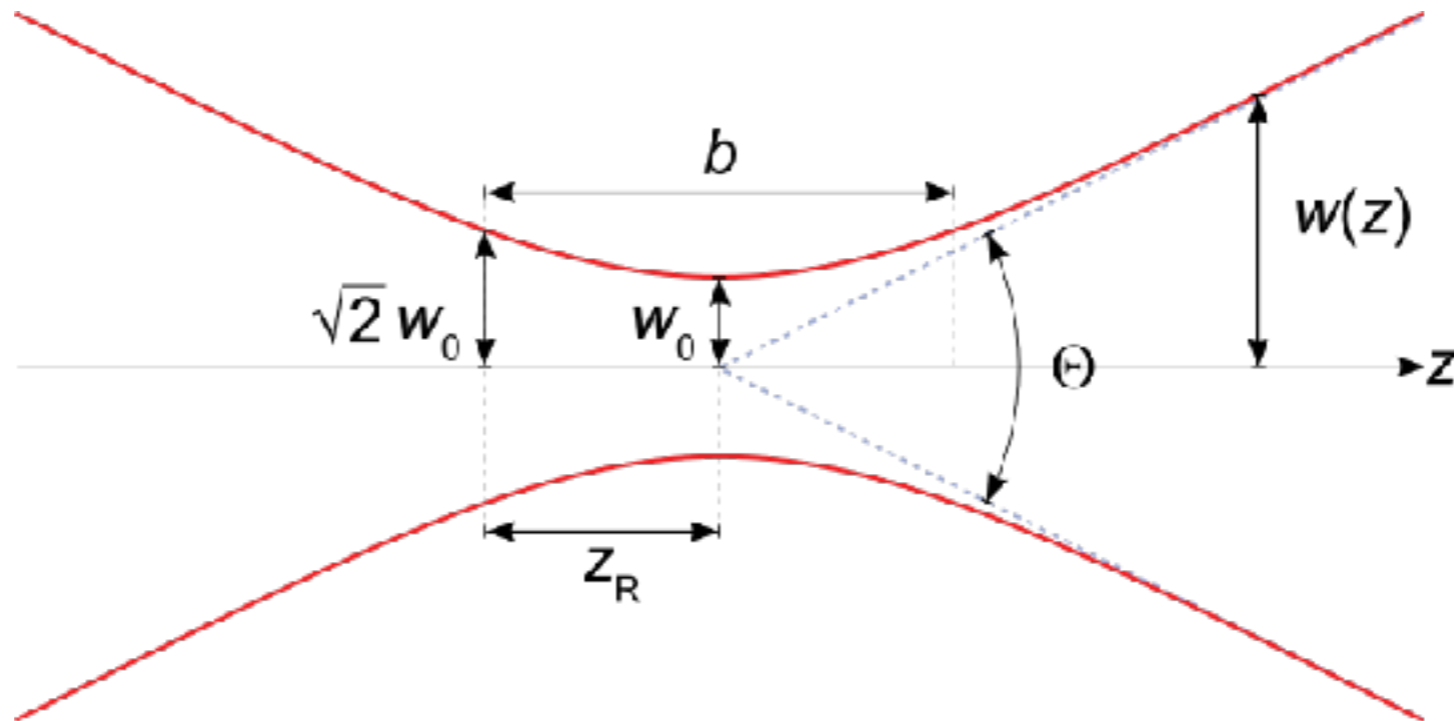
$$U_{\text{laser}} = \frac{1}{2} \epsilon_0 E_{L0}^2 \quad \text{laser electric and magnetic field energy density} \quad E_{L0} = a_0 \frac{m_e c \omega_0}{e}$$

$$W_{\text{laser}} = U_{\text{laser}} A c \tau L \quad \text{energy in laser pulse wave cross section } A, \text{ duration } \tau \quad c\tau = \epsilon \lambda_p$$

$$L_{pd} = 2\epsilon \left(\frac{a_0}{\delta} \right)^2 \frac{n_c}{n_e} \lambda_p$$

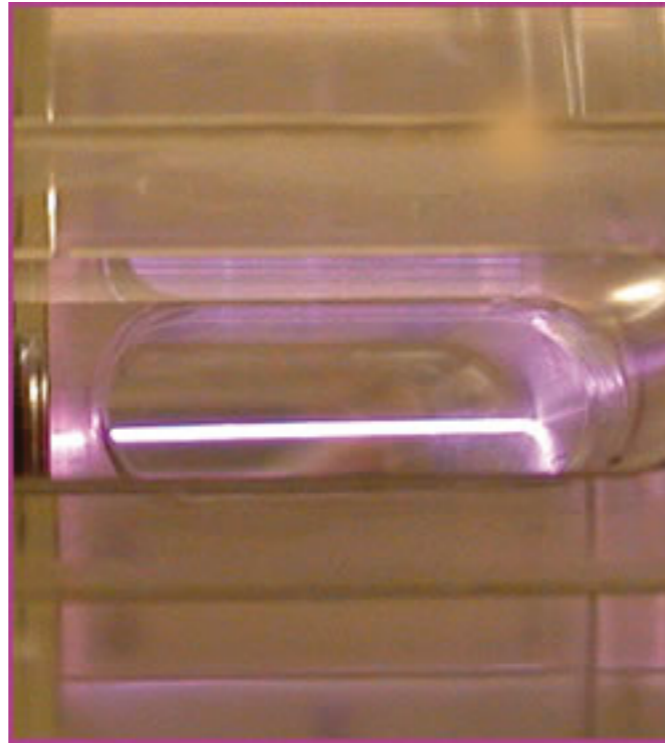
we can tailor parameters so pump depletion > dephasing

Limits to acceleration: 3) diffraction



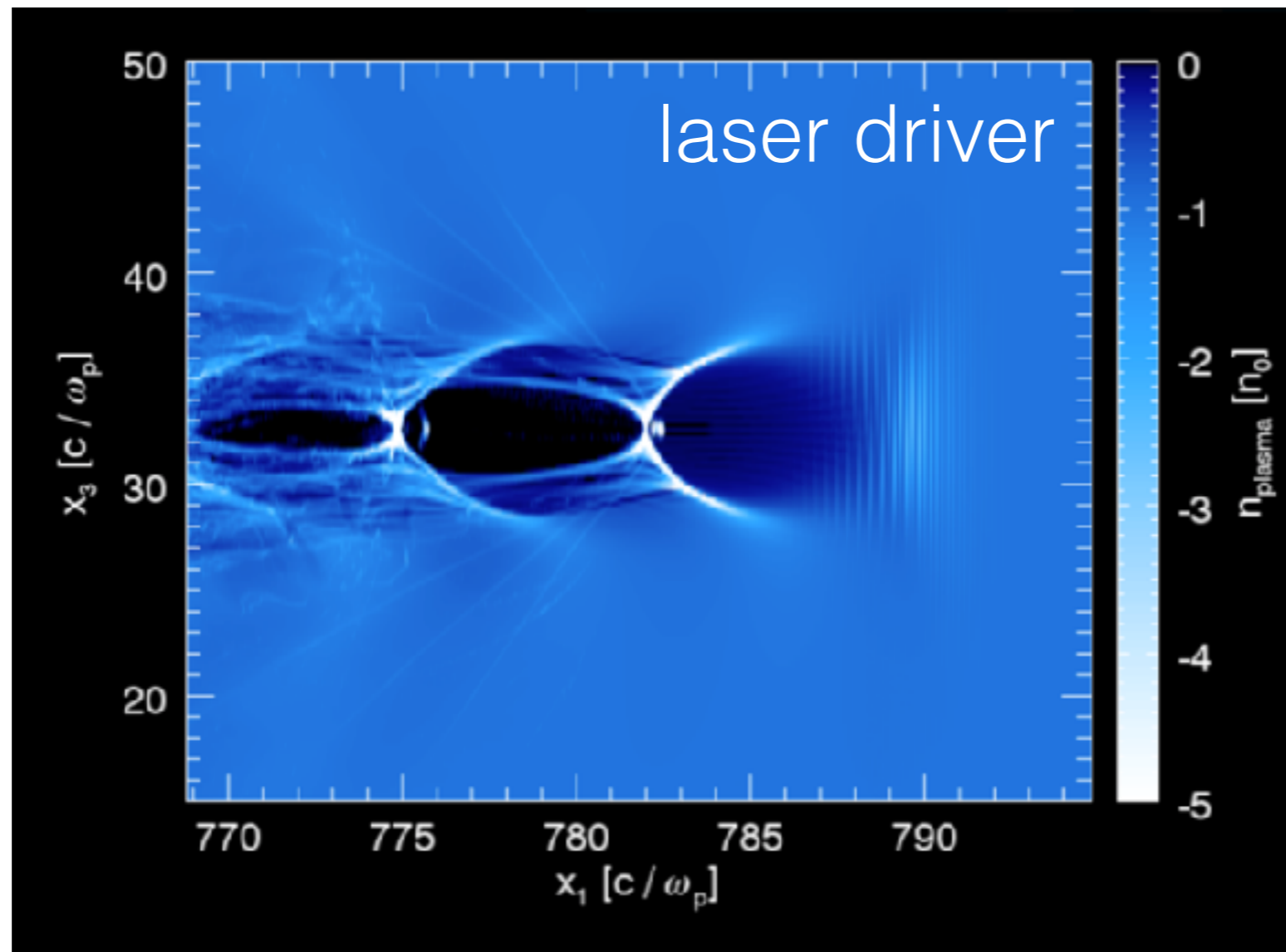
- ▶ We need to keep the laser intense over the entire interaction
- ▶ Distance over which a laser diffracts in vacuum is the Rayleigh Range
$$z_R = \frac{\pi w_0^2}{\lambda_0}$$
- ▶ For $z_R = 1$ cm we need focal spots $\sim 50 \mu\text{m}$ - difficult to make very intense focal spot this large
 - ▶ (e.g. you need $P > 90$ TW for $a_0 = 1$)

Limits to acceleration: 3) diffraction



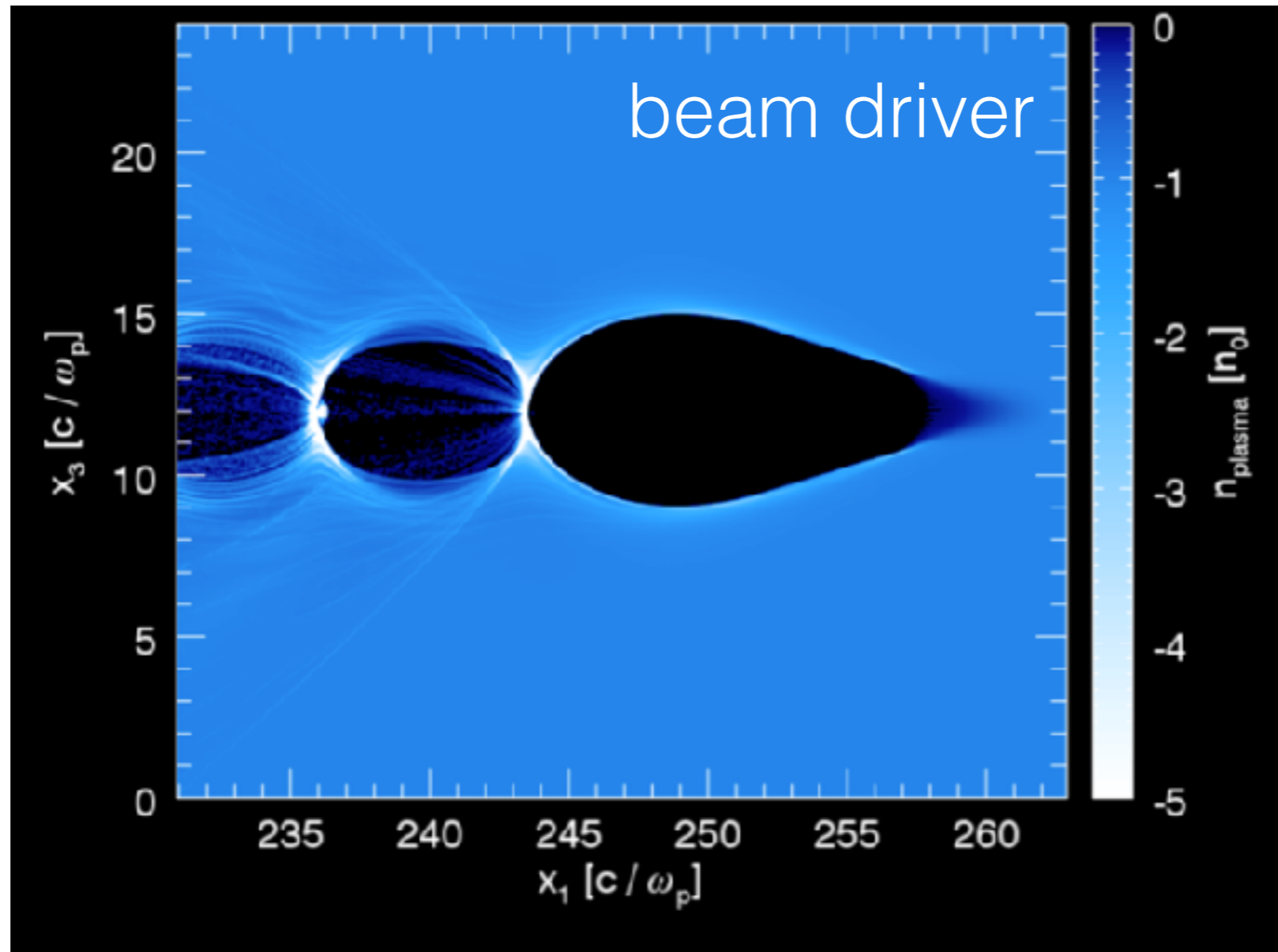
- ▶ To overcome diffraction we need to guide the laser - an optical fibre
- ▶ Can't use a normal optical fibre - it will damage!
 - plasma waveguide - plasma density minimum on axis
- ▶ Pre-formed plasma waveguides (Hooker group)
- ▶ Self-guiding - pulse forms its own waveguide

The blow-out regime



- ▶ If the drive beam is strong enough then it can completely expel *all* the electrons from near the laser pulse - we call this the blow-out or bubble regime

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it turns out that the situation is best if the laser spot size is matched to the bubble so we have:

$$r_b \approx 2\sqrt{a_0} \frac{c}{\omega_p}$$

The bubble regime: the field strength

- ▶ Using the equation for the electric field
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▶ For $a_0 \approx 3$ and a plasma density of $n_0 = 4 \times 10^{18} \text{ cm}^{-3}$ we get a maximum field of 330 GV/m !

▶ Combining this with the dephasing length we would get a maximum electron energy of 2.4 GeV

- this is an overestimate as non-linear effects make the group velocity a bit slower

Injecting electrons into the wave



- ▶ For a surfer to “catch a wave” he must swim to get up to speed before the wave arrives
- ▶ if he is too slow the wave will just pass over him
- ▶ we must find a way of accelerating electrons up to the correct speed for them to be trapped by the wave and accelerated

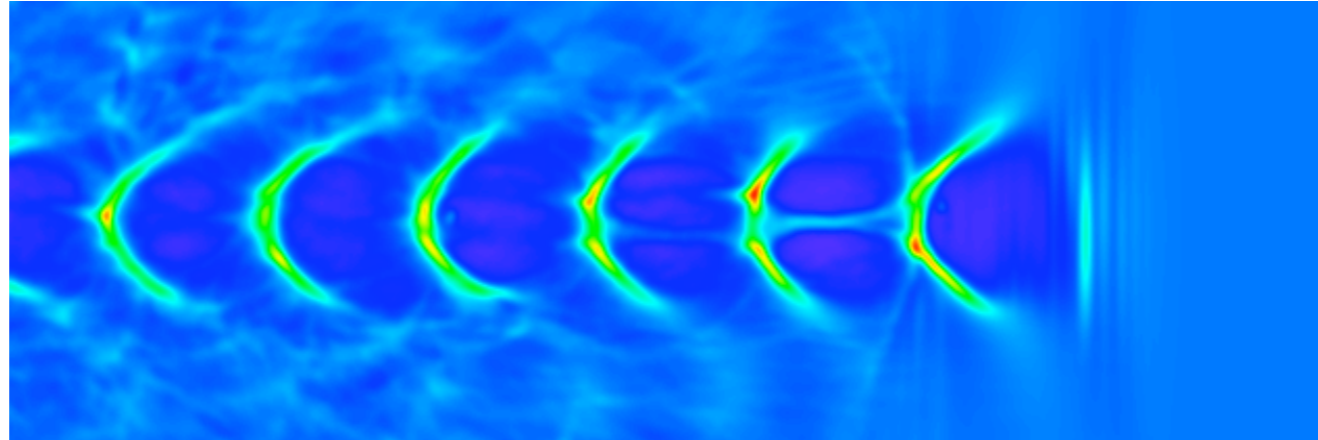
Injecting electrons into the wave



too slow

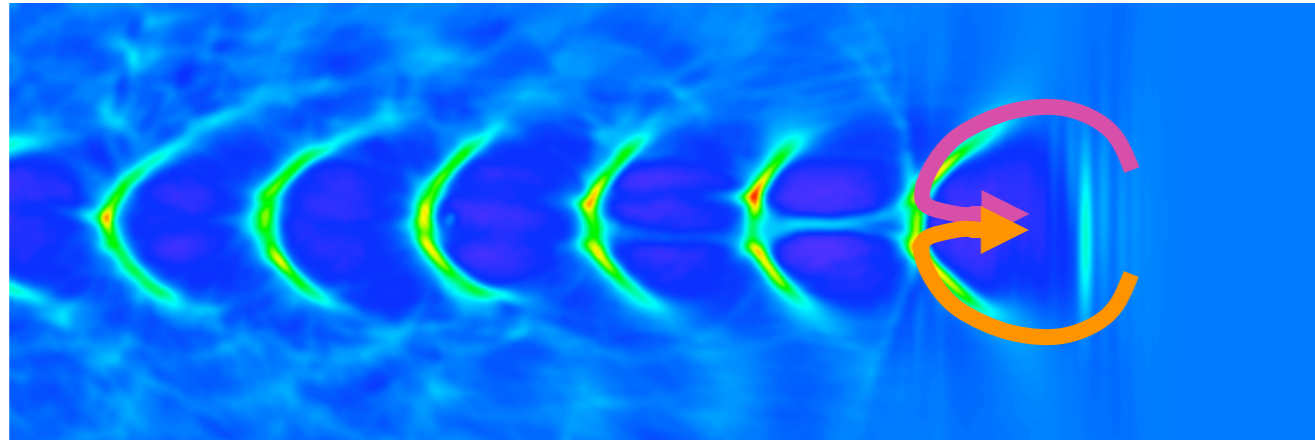
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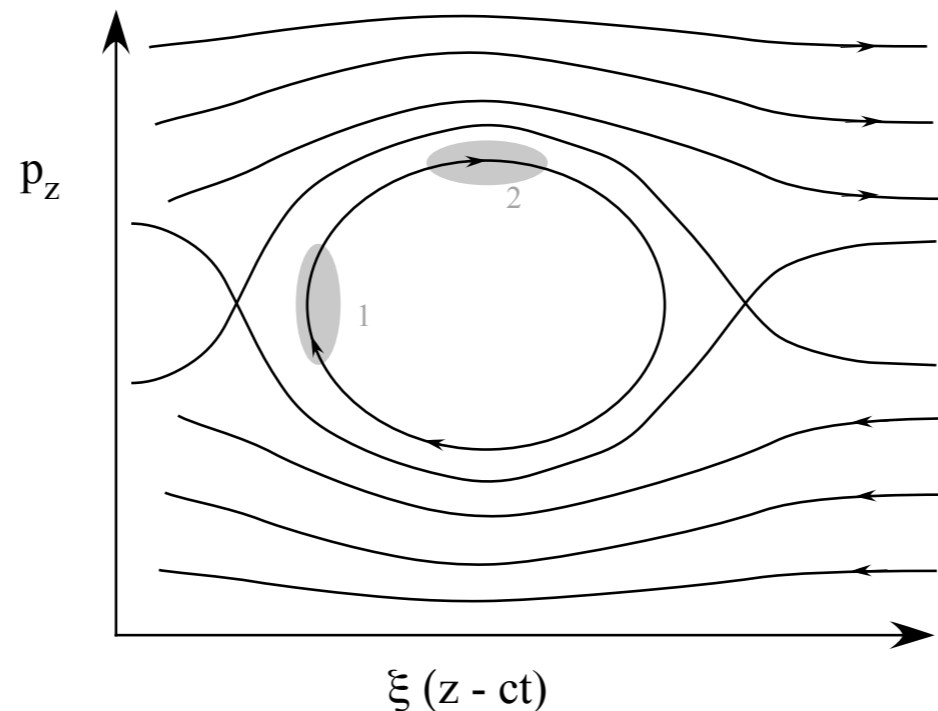
- ▶ Nature is kind to us - when the wakefield has a large enough amplitude some electrons can be trapped
- ▶ They are all injected at the back of the bubble so can be accelerated to the same energy - quasi-monoenergetic electron beams

self-injection



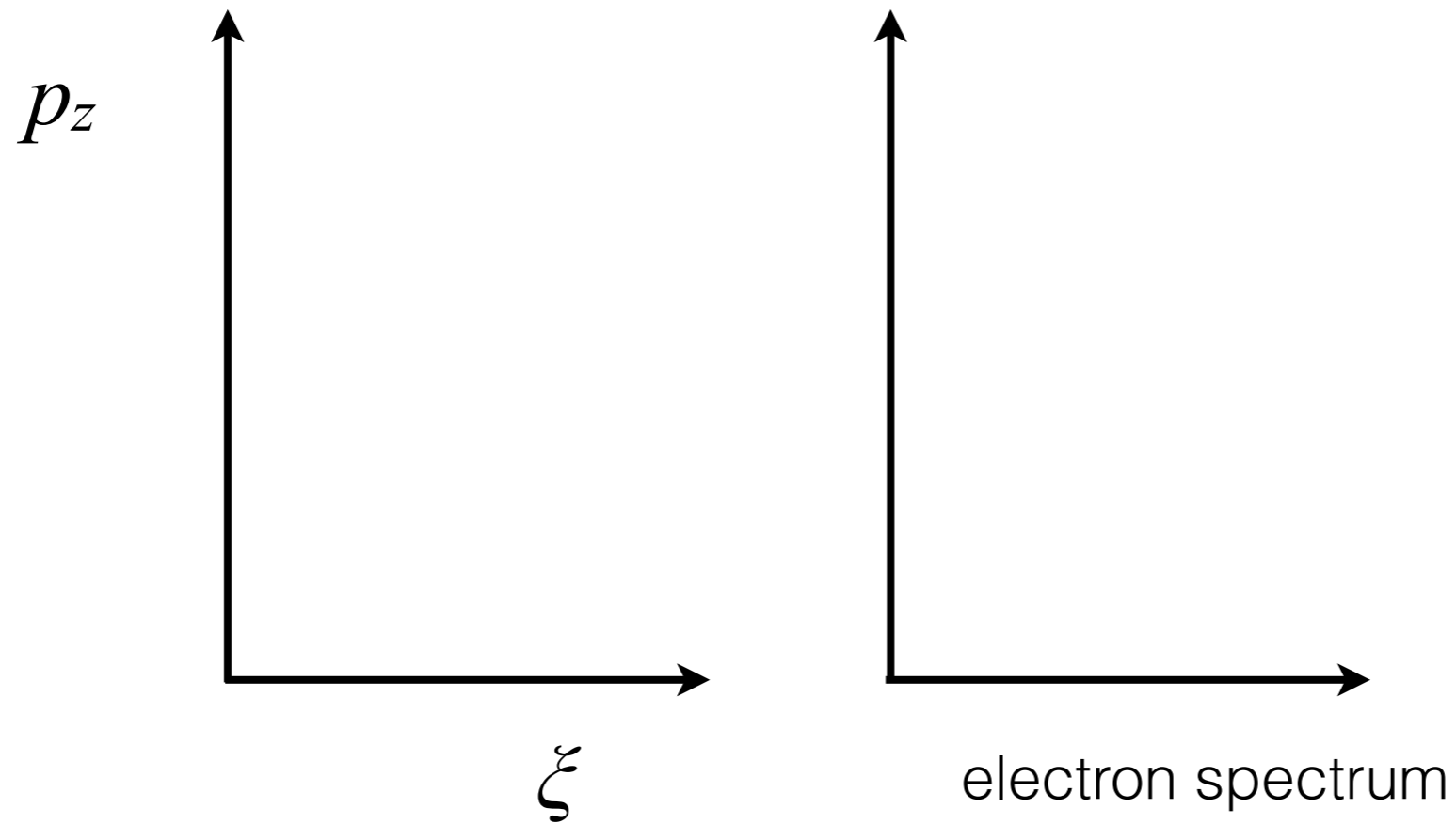
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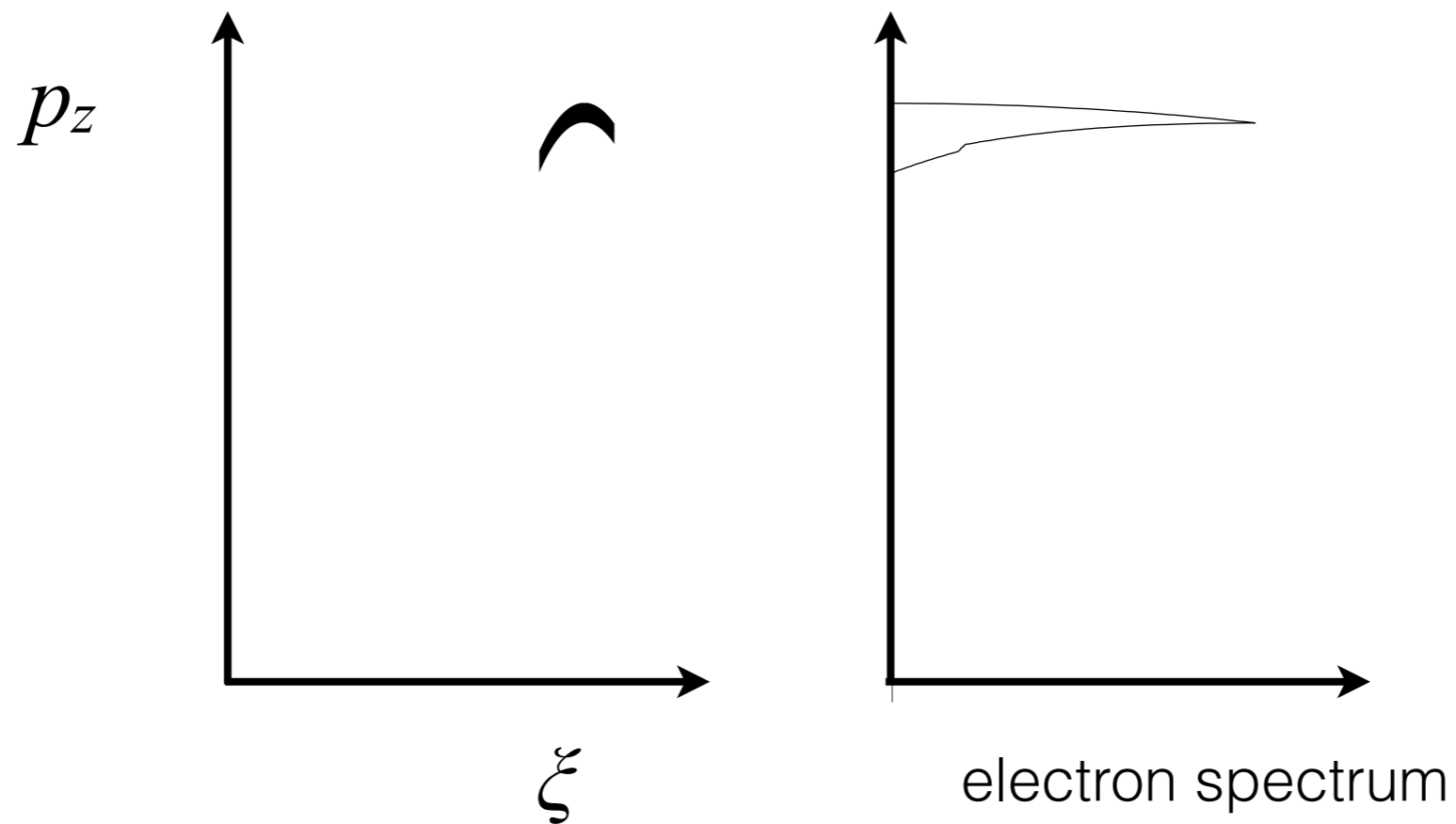
- ▶ this a plot of the longitudinal position ($\xi = z-ct$) in the wave against the longitudinal momentum p_z (called the $p_z-\xi$ phase space)
 - The black arrows show electron trajectories
 - Trapped electrons follow closed orbits
- ▶ self-injection in the bubble only happens over a small range of ξ at the back of the bubble
- ▶ phase space rotation exchanges initial spread in p_z for spread in ξ

self-injection



- ▶ This animation demonstrates how phase space rotation changes the electron spectrum

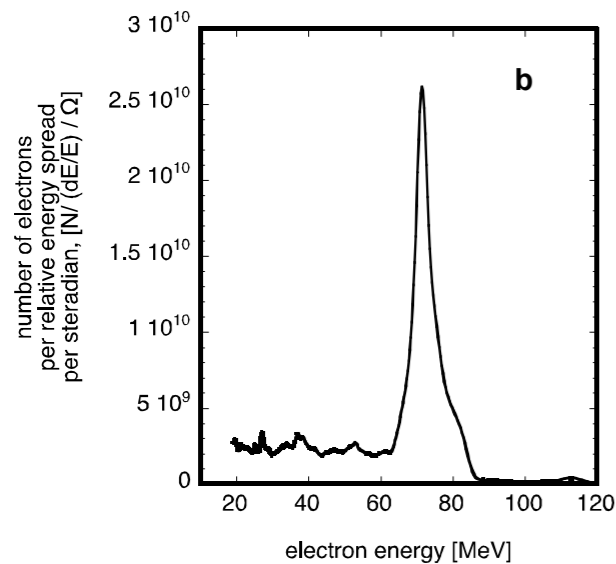
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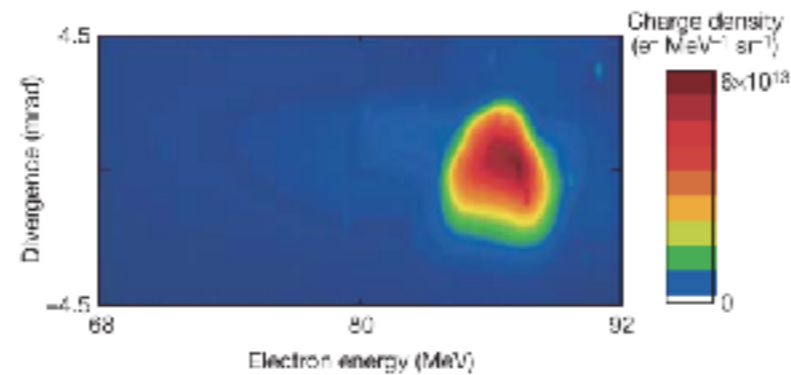
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what sort of electron beams can we get?

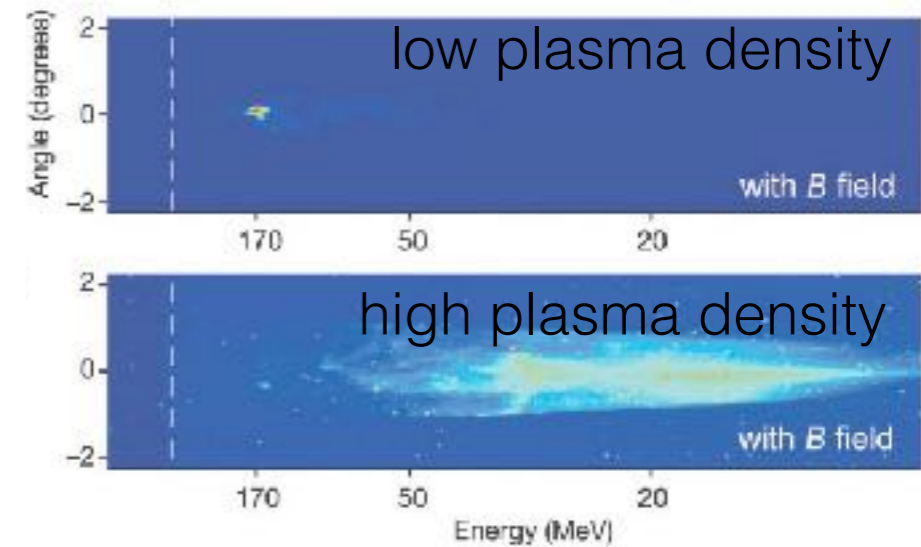
- ▶ Back in 2004 the Imperial College group, a group in the US (LBNL) and a group in France (LOA) were the first to report narrow energy spread beams from a laser wakefield accelerator



Mangles et al Nature 2004

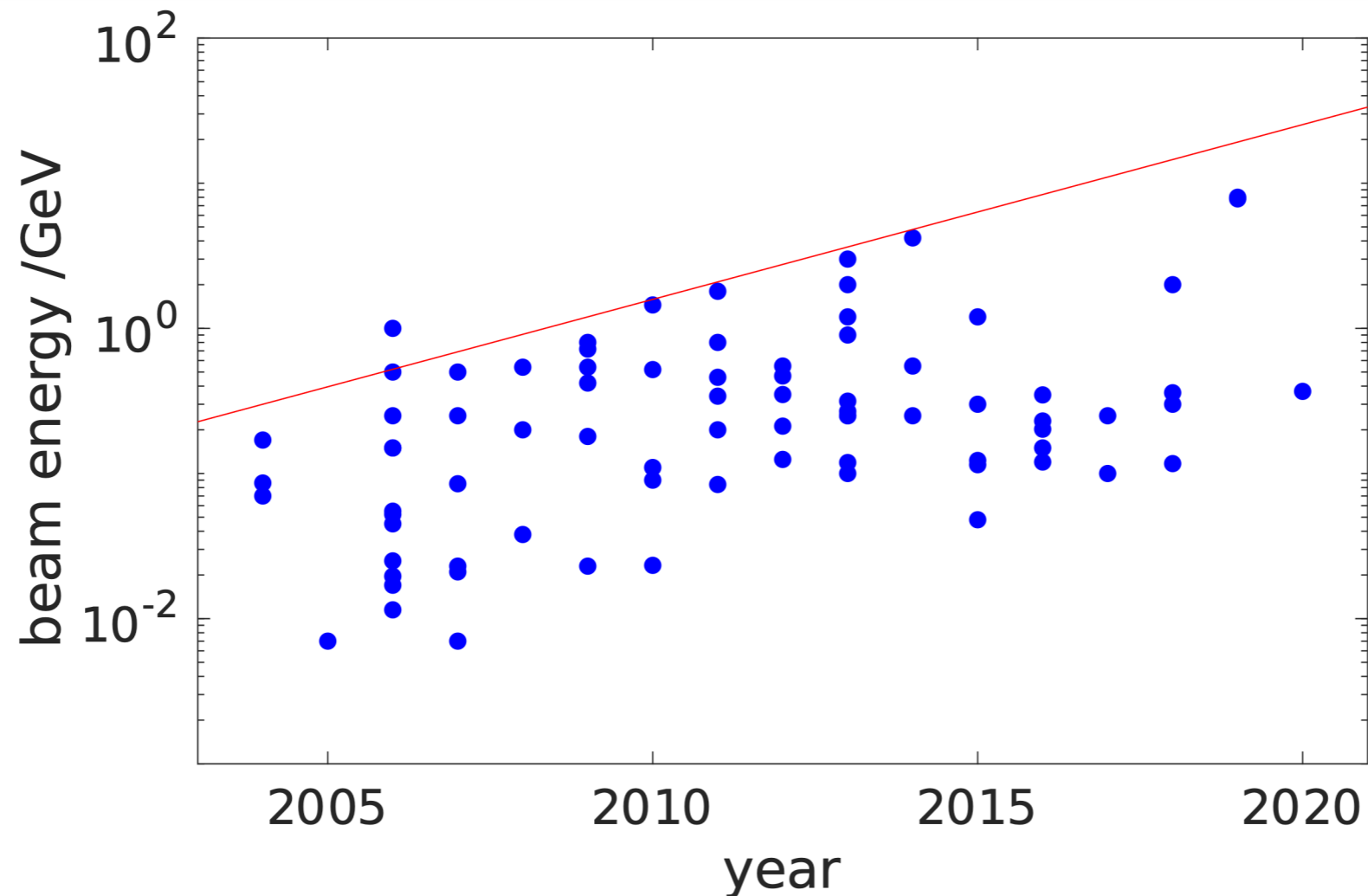


Geddes Nature 2004



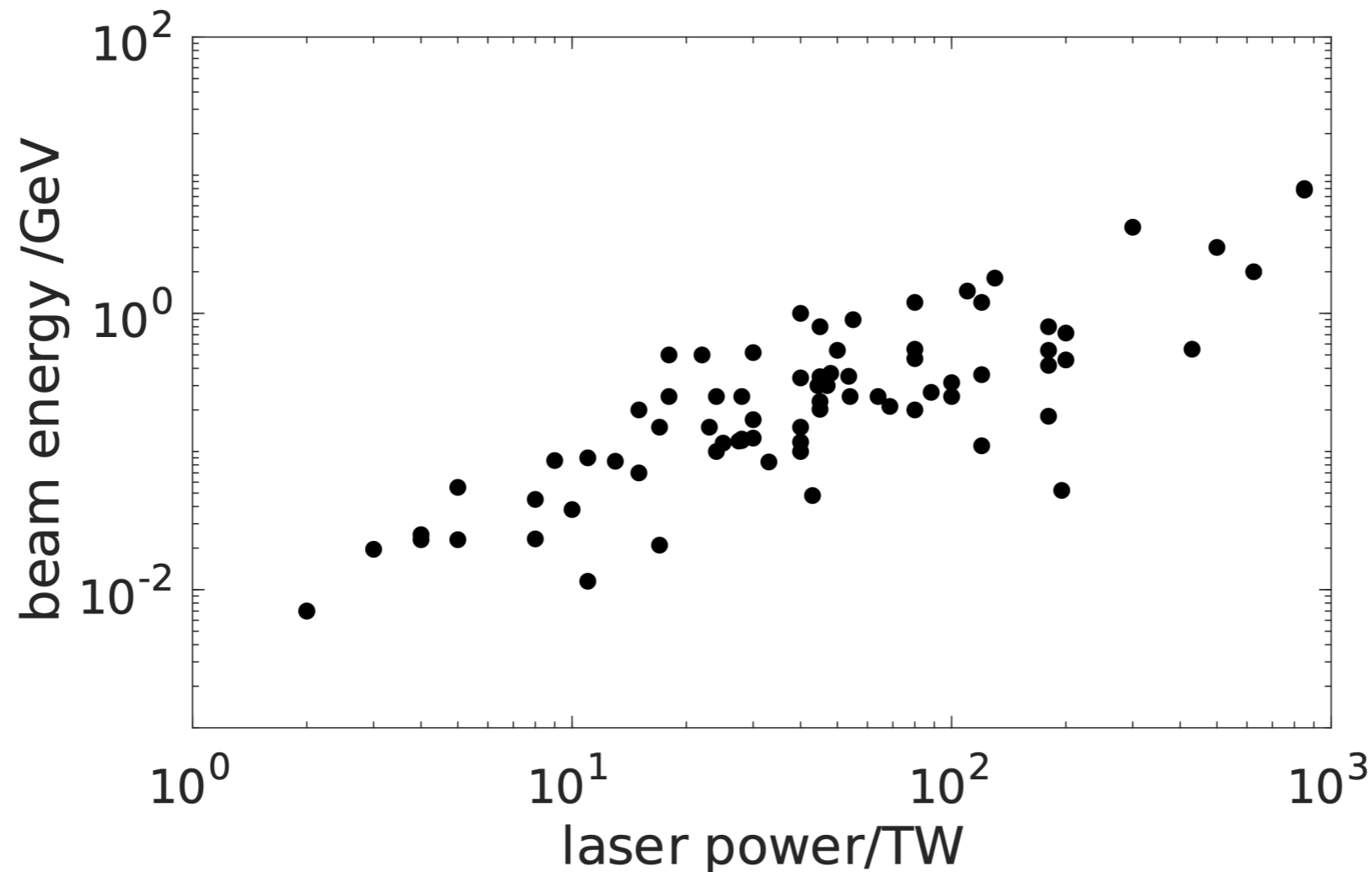
Faure et al Nature 2004

What sort of electron beams can we get?



- There has been steady progress in LWFAs
 - » e.g. beam energy doubles every 2.5 years (roughly!)

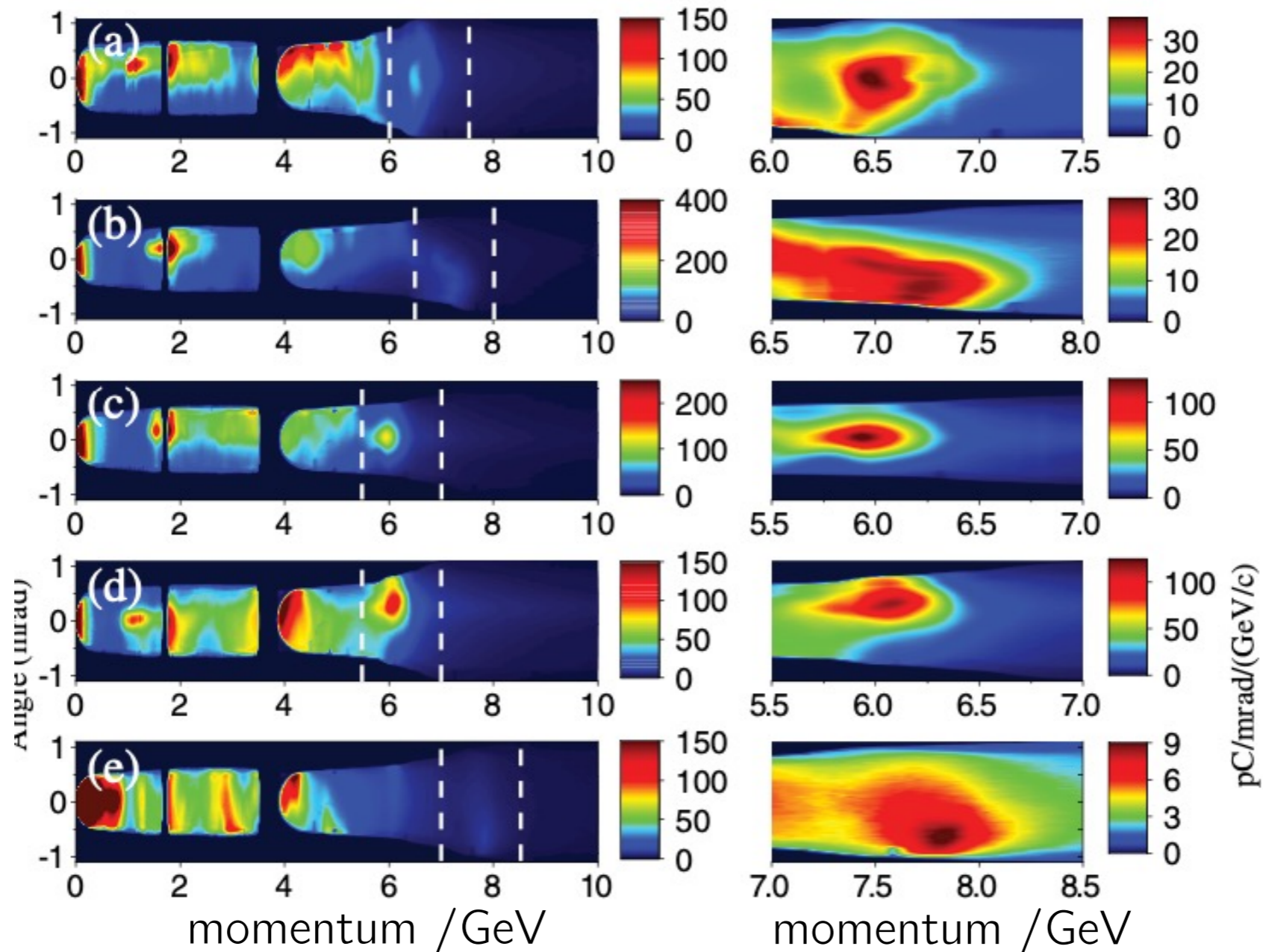
What sort of electron beams can we get?



- Increase in Beam energy has has been achieved by using higher power lasers.
 - *why do we need higher power lasers to get higher energy electrons?*

*to add data to this database please go to: <https://forms.gle/D3zR2uHpjos9RQXt6>

What sort of electron beams can we get?



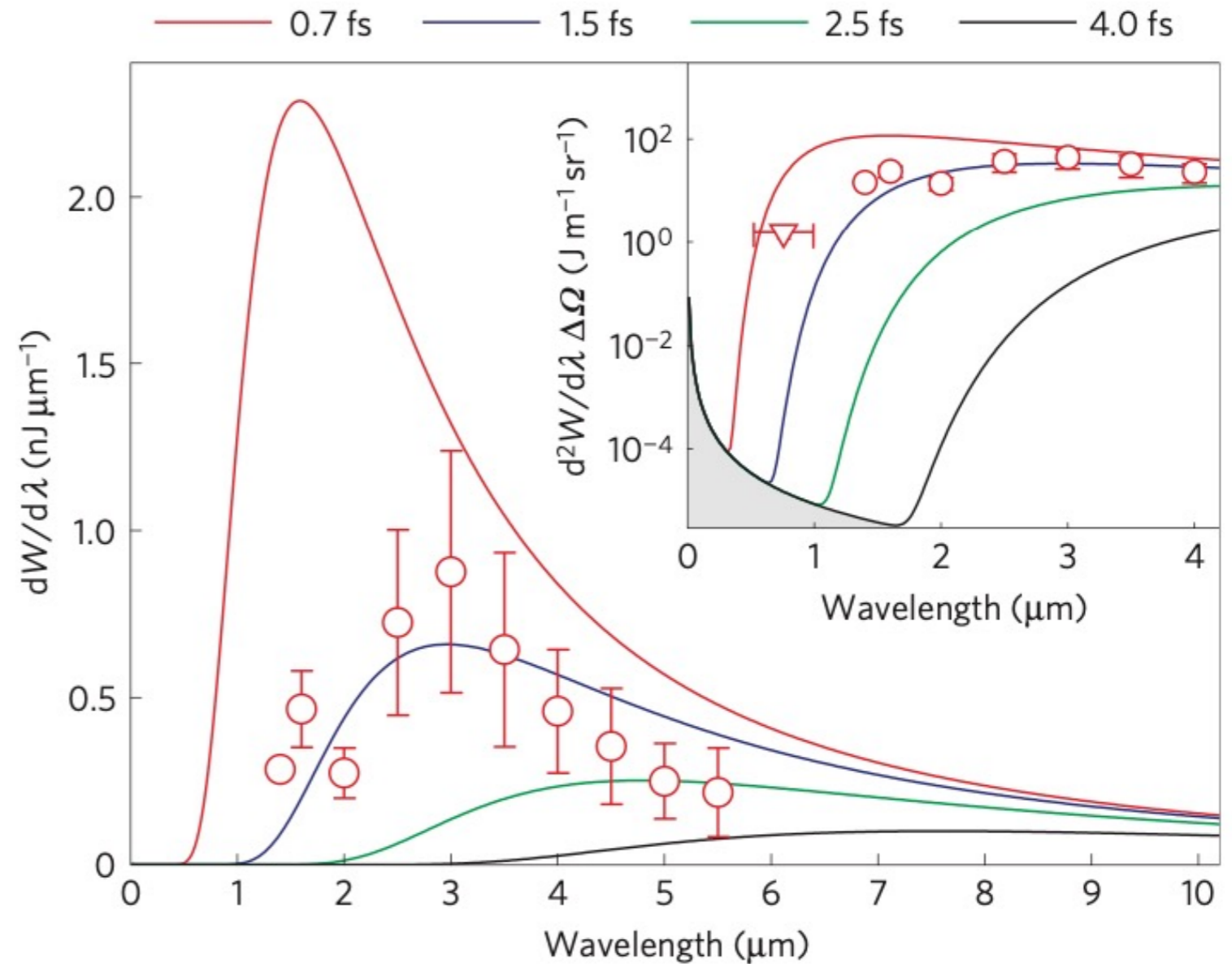
Gonsalves, PRL, 122, 084801 (2019)

- Current record is 8 GeV in 20 cm with a 0.85 PW laser

Beam energy is not the only important parameter!

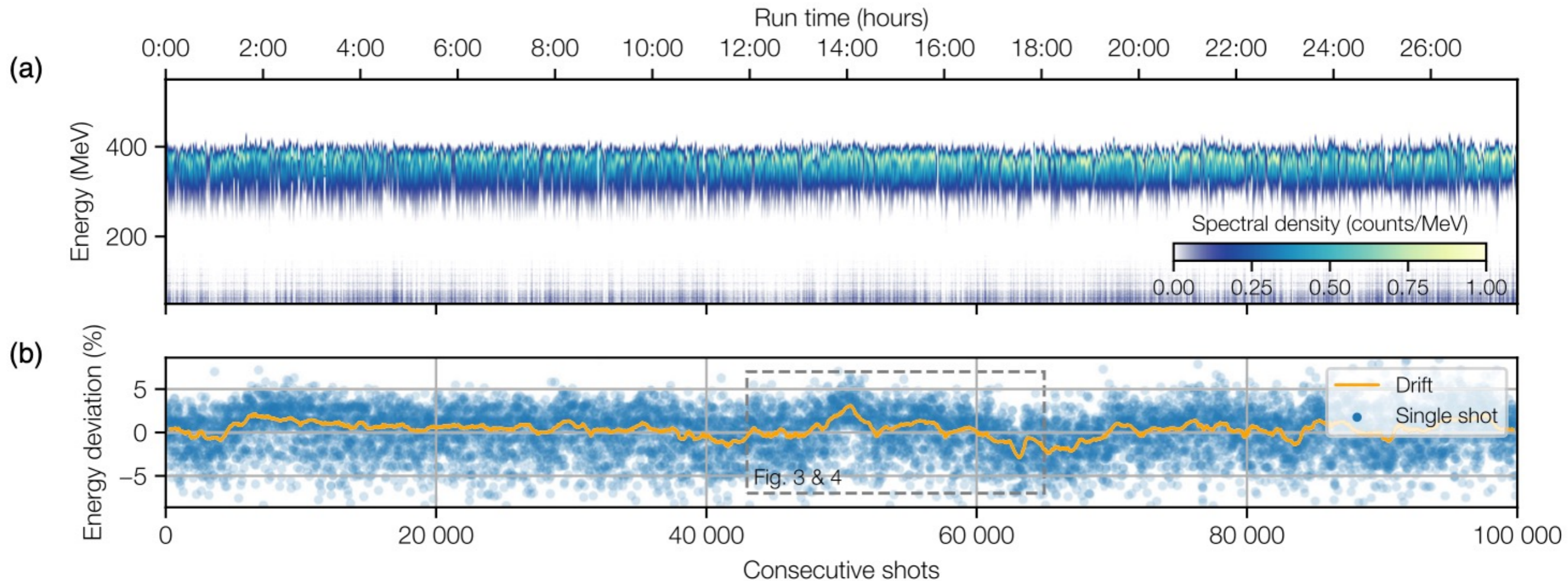
Laser wakefield accelerators can produce ultra short duration electron beams

- LWFA bunches measured to be less than 2 fs



Lundh et al Nat. Phys. 7, 219–222 (2011)

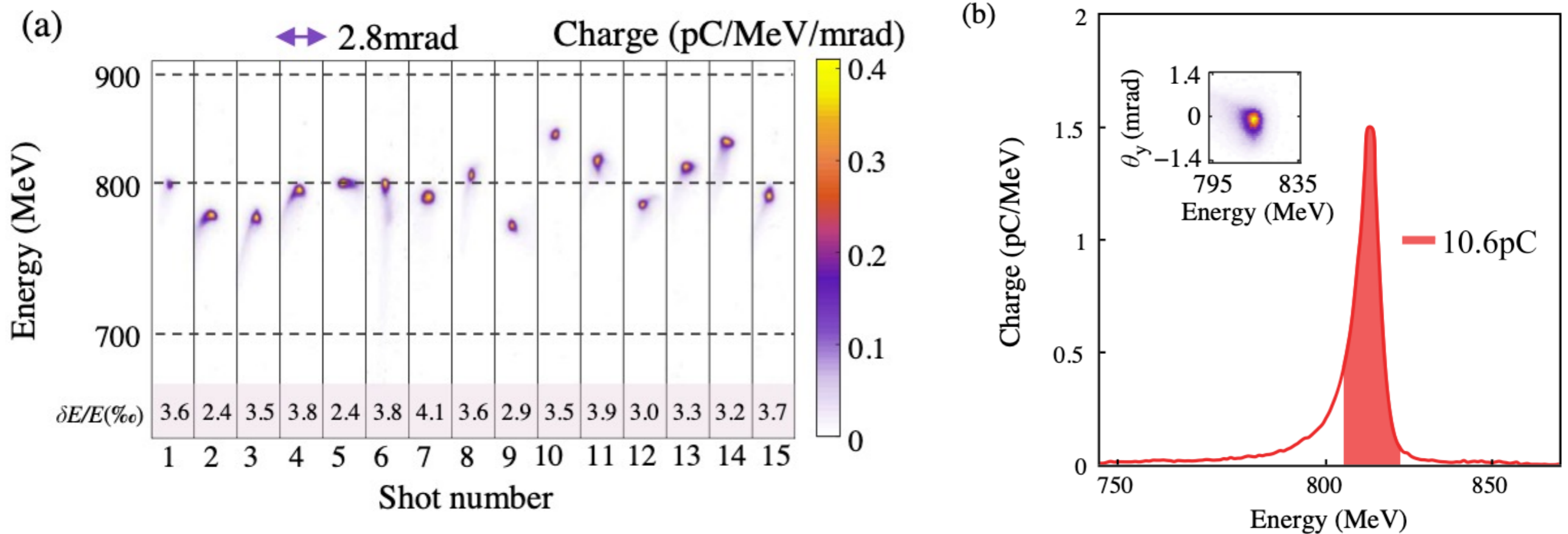
Laser wakefield accelerators can operate consistently



Maier et al PRX 10, 031039 (2020)

- Dedicated LWFA facility running at 10 Hz for more than 24 hours
 - Stable, consistent operation

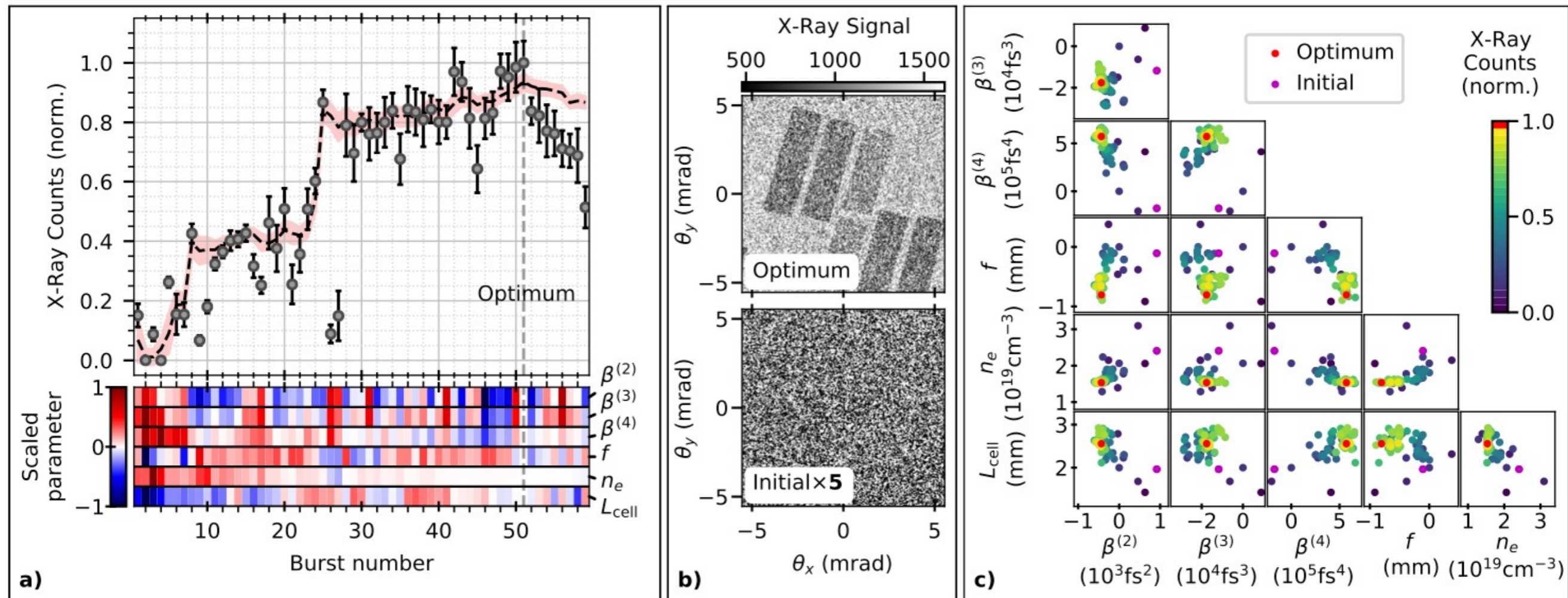
Laser wakefield accelerators can produce narrow energy spread beams



LT Ke et al PRL 126, 214801 (2021)

- New injection methods can produce very narrow energy spread beams at the per mille level

Laser wakefield accelerators can be controlled and optimised

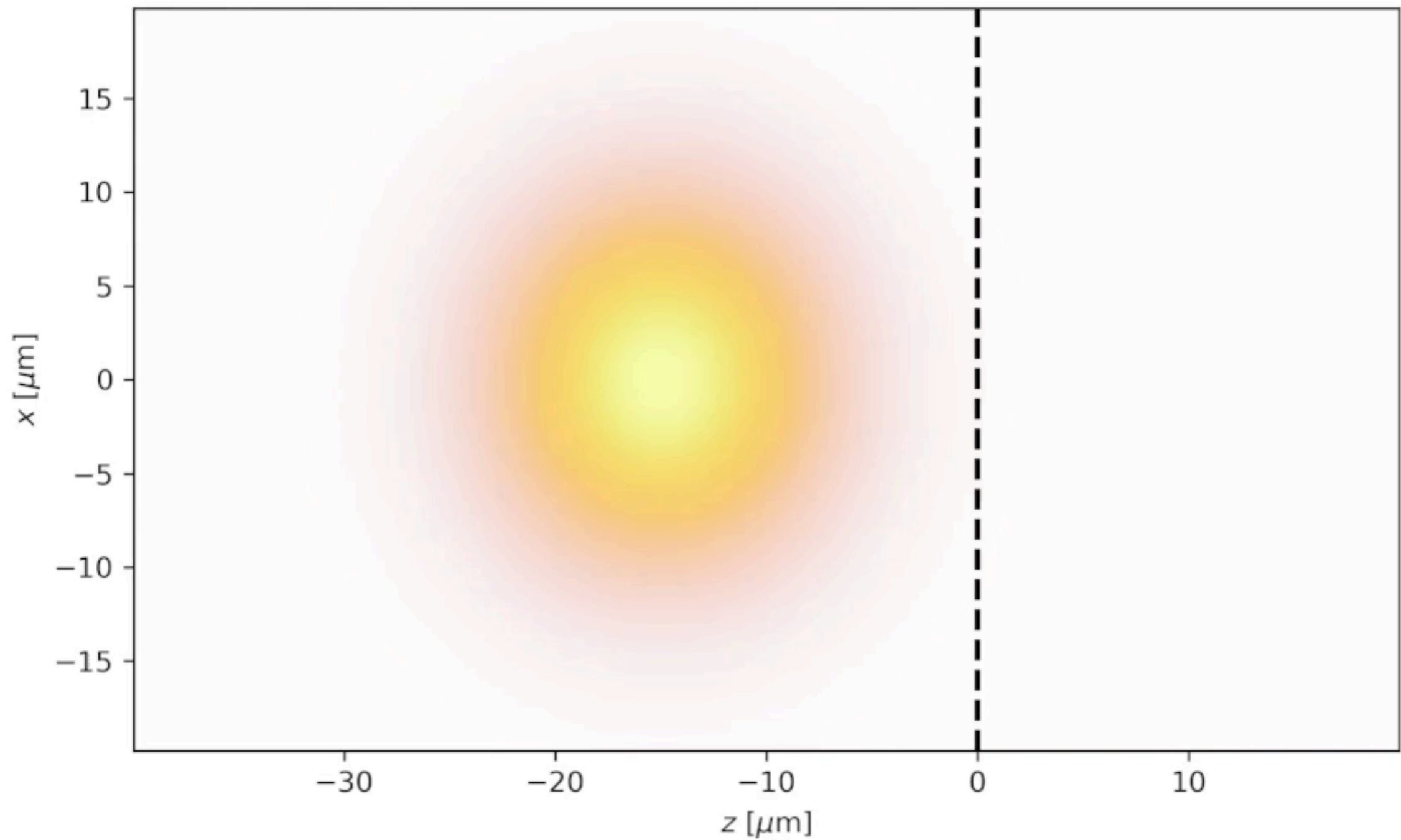


Shaloo et al, Nat Comms, **11**, 6355 (2020)

- Machine learning methods can be used to optimize and control laser wakefield accelerators

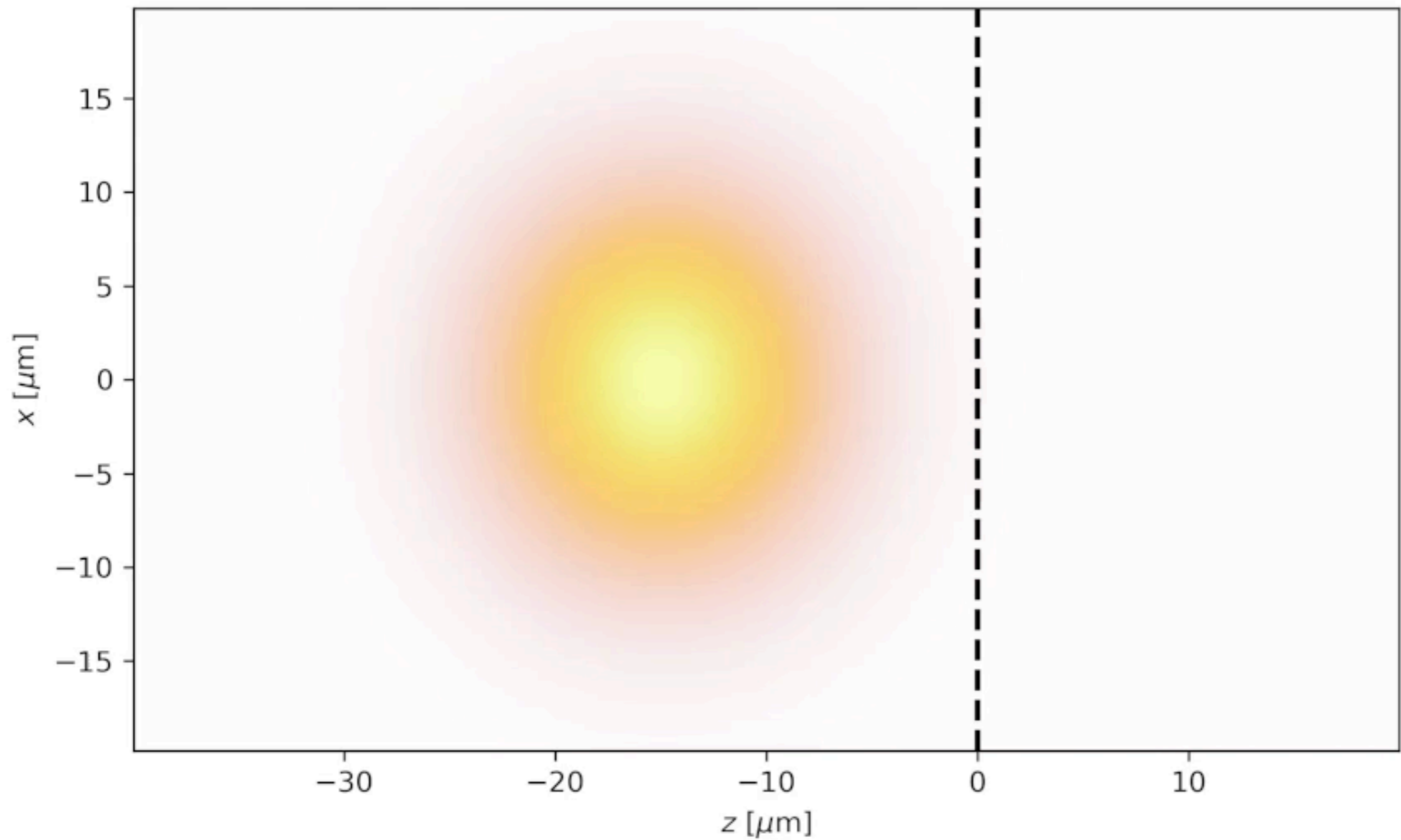
» 6D optimization of LWFA using Bayesian Optimization

When a high power laser enters a plasma, something amazing happens...



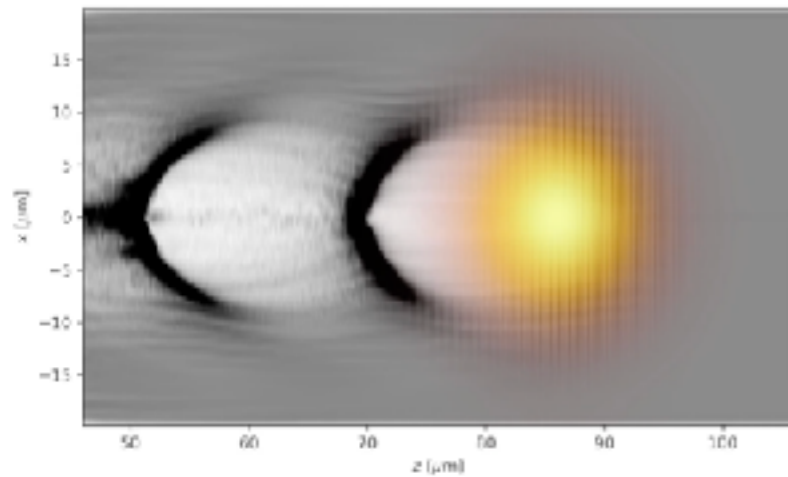
movie by M Streeter

When a high power laser enters a plasma, something amazing happens...

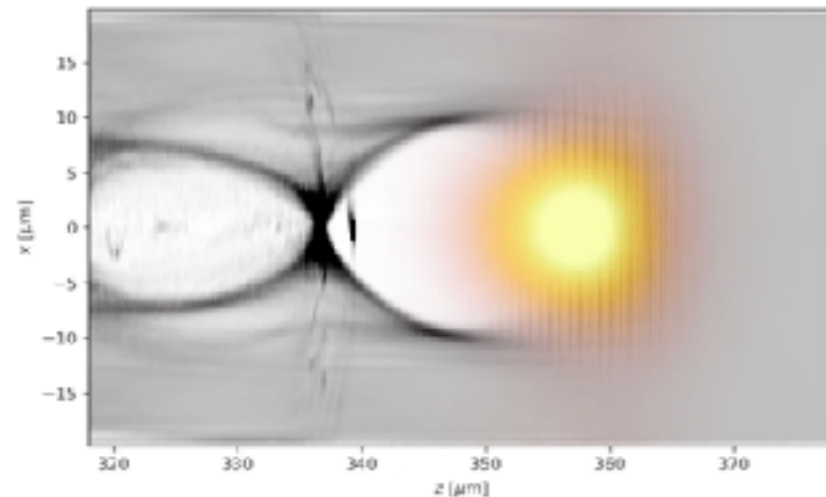


movie by M Streeter

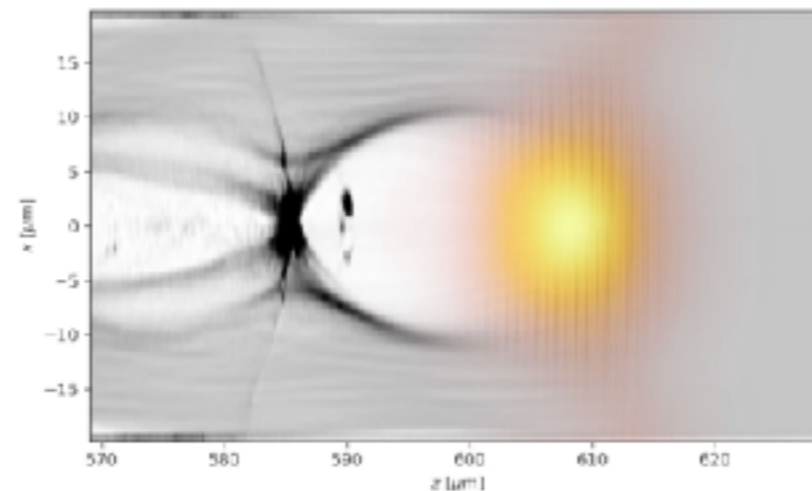
When a high power laser enters a plasma, something amazing happens...



- Laser enters plasma, driving a plasma wave in its wake

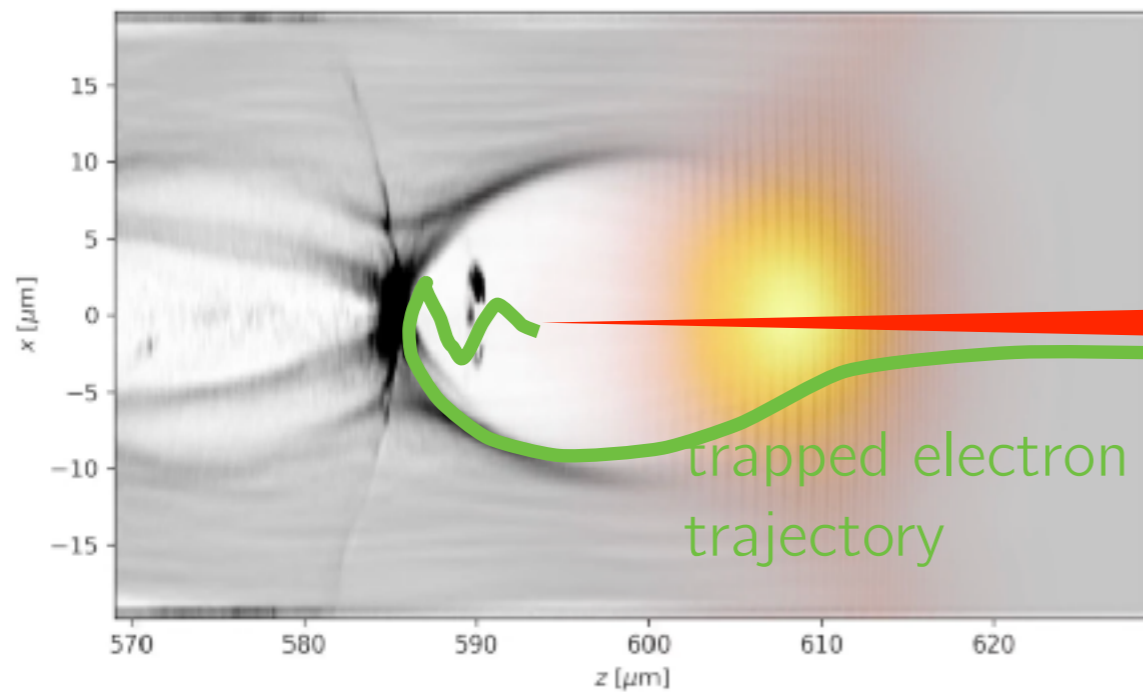


- Wake amplitude grows and electrons from background plasma are swept up and accelerated by the wake

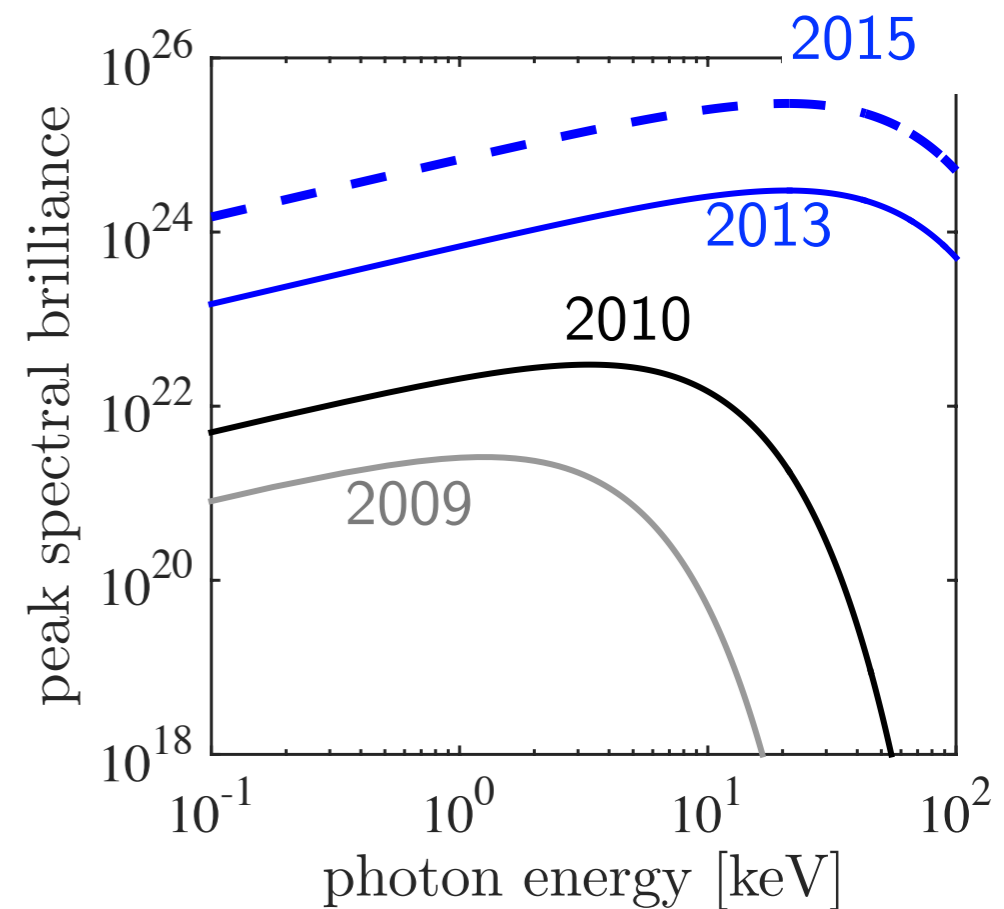


- Electrons undergo betatron oscillations in the wake, generating X-rays

Laser wakefield accelerators are a source of interesting X-ray beams



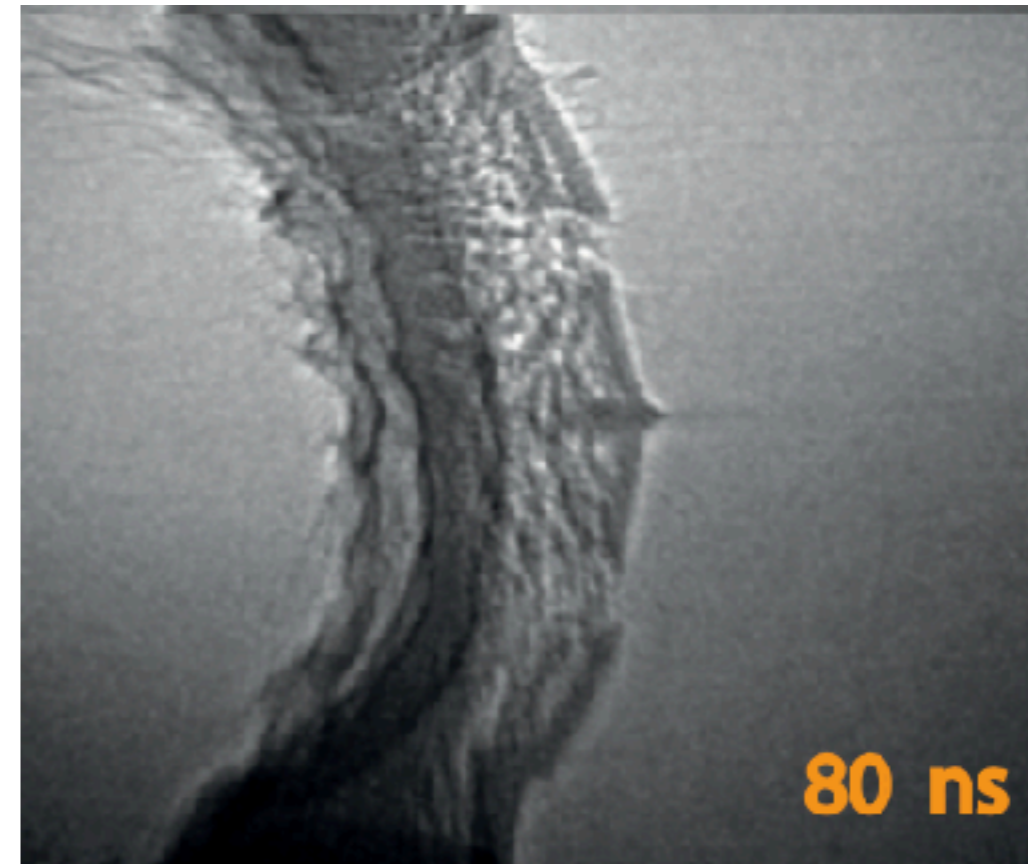
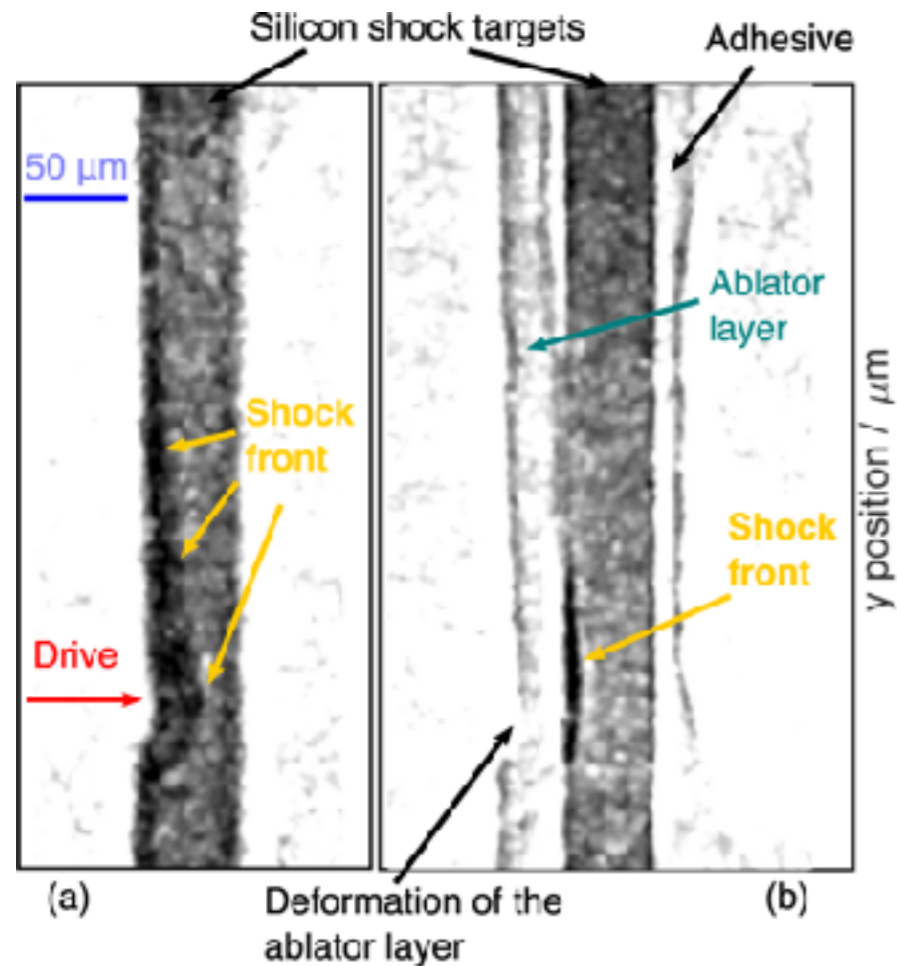
bright X-ray flash



- LWFA produce X-rays “betatron radiation”
 - high-energy (10s keV);
 - broadband (synchrotron spectrum)
 - ultra-fast (femtosecond duration);
 - bright ($> 10^9$ photons per shot)

Co-location with other laser pulses makes laser wakefield accelerators tools for diverse experiments

Laser Wakefield Accelerators for Dynamic Imaging

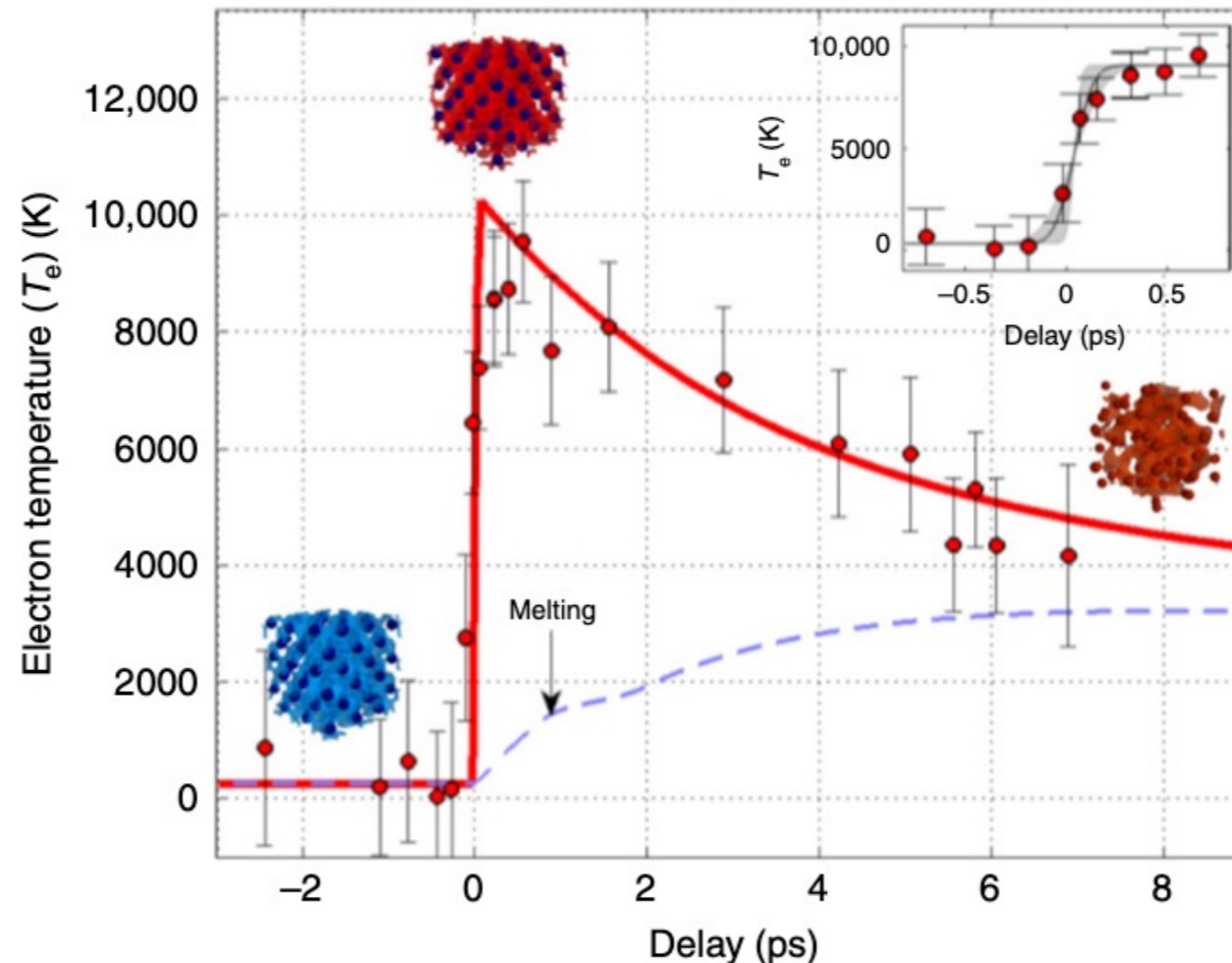


J Wood et al Sci Rep 8, 11010 (2018)

J Wood PhD Thesis, Imperial 2017

- Small ($1 \mu\text{m}$) source size enables use to make high resolution imaging of laser driven shocks

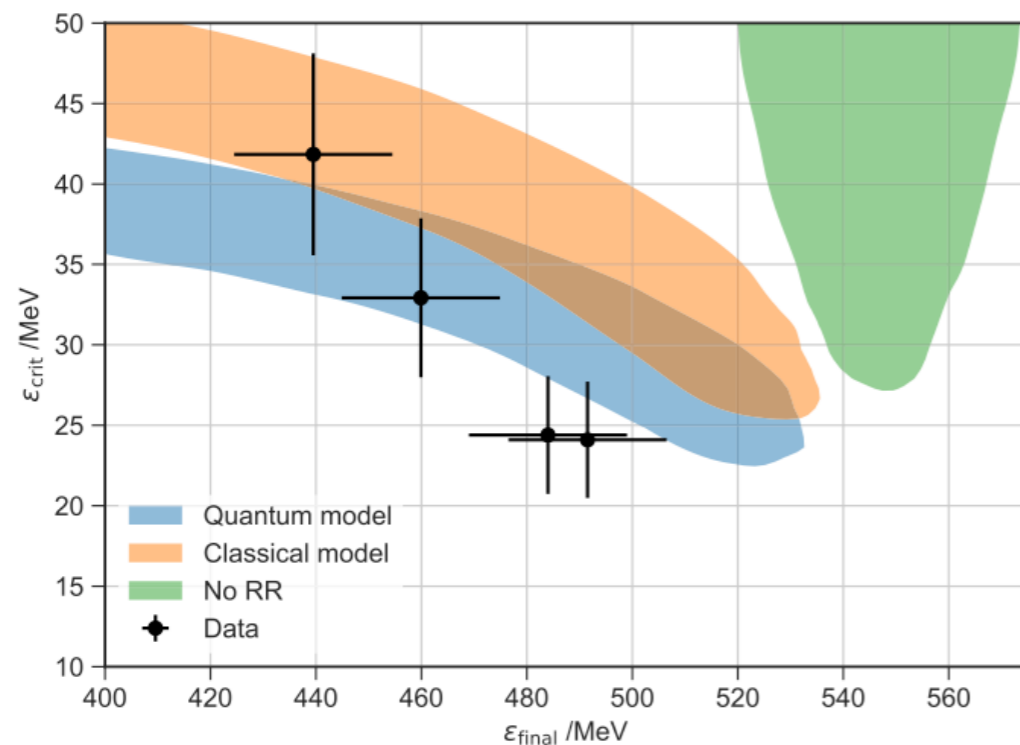
Co-location with other laser pulses makes laser wakefield accelerator tools for diverse experiments



Mahieu et al, Nat Comms 9, 3276 (2018)

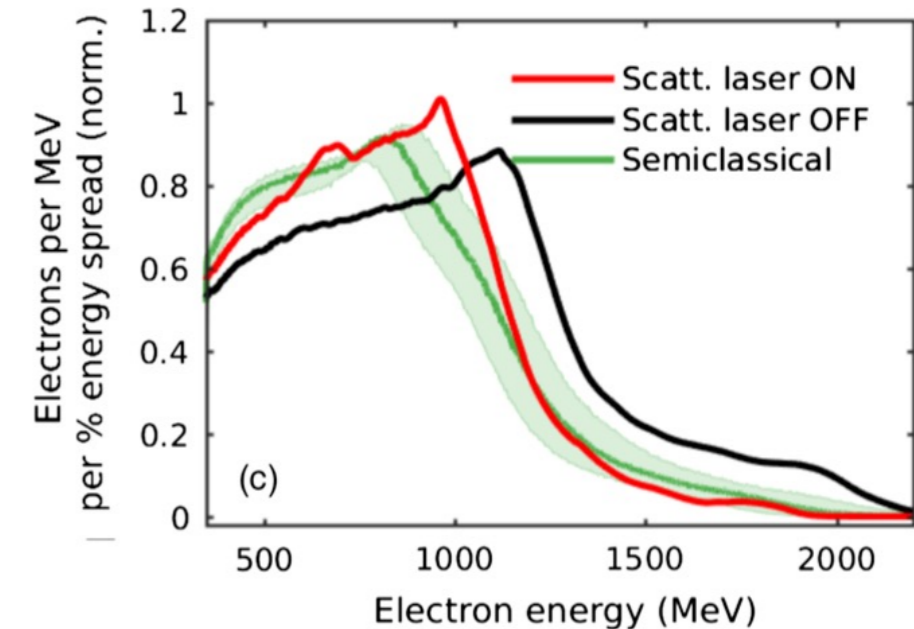
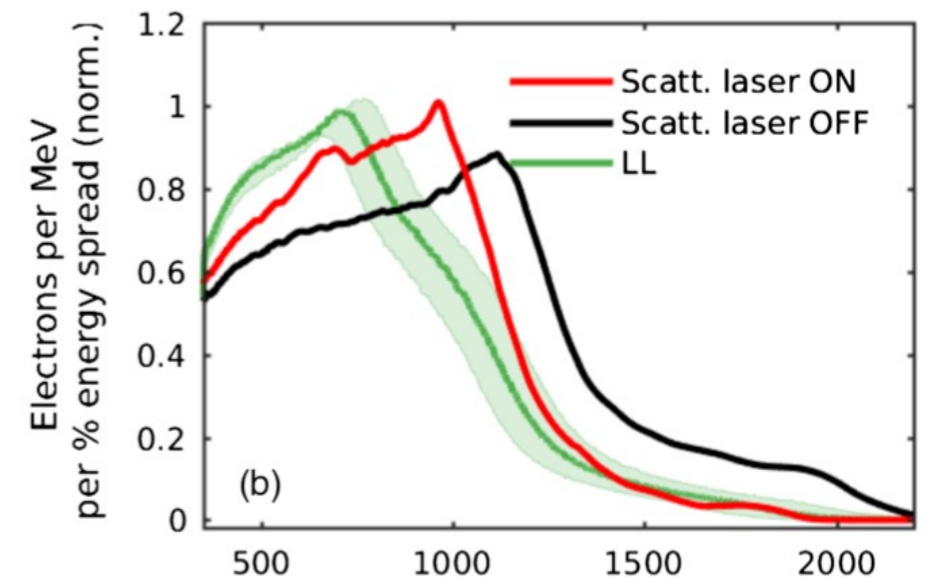
- X-rays generated by laser wakefield beams as ultrafast probe of dense matter
 - Non-equilibrium dynamics of matter in extreme conditions

Co-location with other laser pulses makes laser wakefield accelerator tools for diverse experiments



Cole et al, PRX 8, 011020 (2018)

- Collisions between high intensity lasers and electrons can probe electrodynamics in extreme fields
 - experimental evidence for “radiation reaction”
 - Signatures of quantum nature of this in strong fields



Poder et al,
PRX 8, 031004 (2018)

Summary

- ▶ This lecture has covered:
 - introduction to laser wakefield acceleration
 - driving plasma waves with lasers
 - Limits to acceleration with LWFA
 - Trends and status of L

- ▶ Any questions?

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