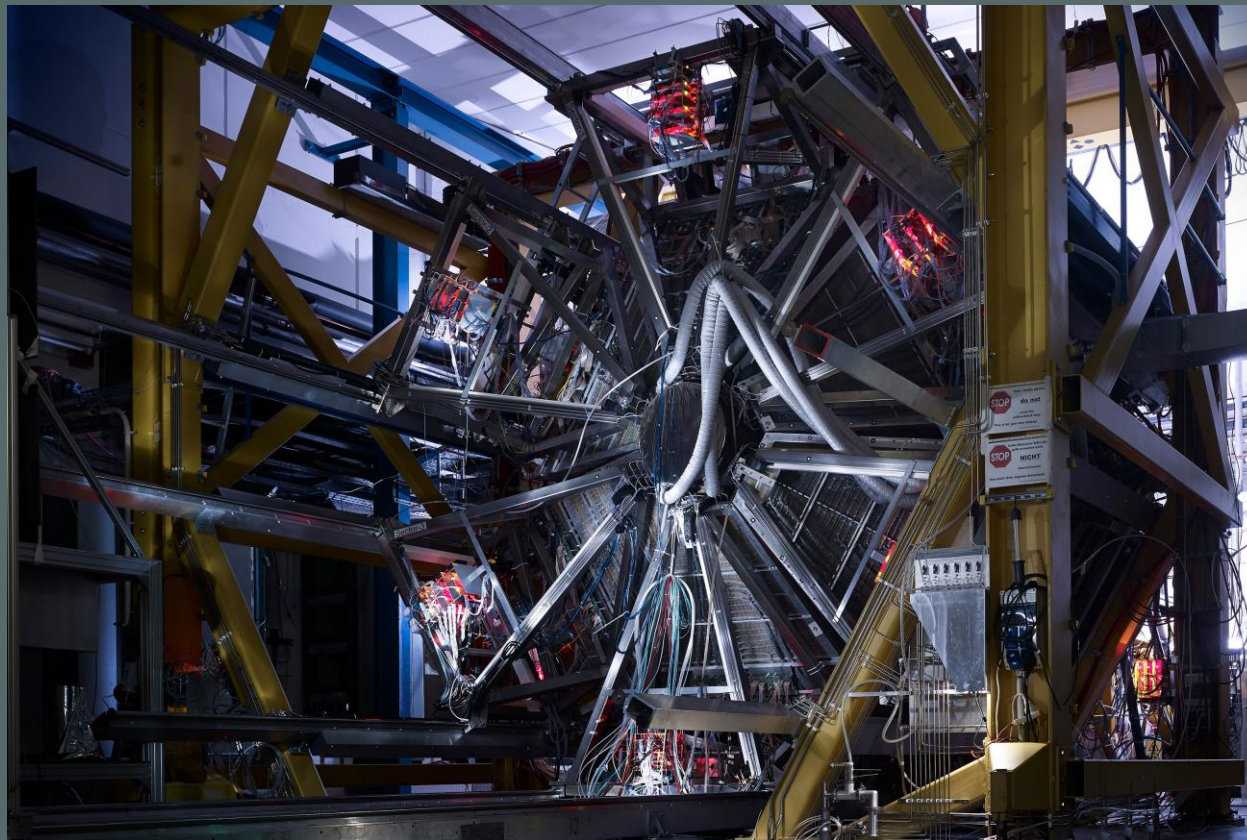
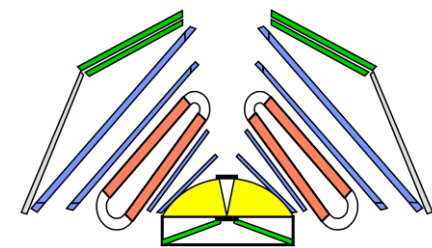


# Photon-photon femtoscopy in Ag+Ag collisions at $\sqrt{s_{NN}} = 2.55$ GeV



Mateusz Grunwald  
for the HADES collaboration



**HADES**

**GSII**



Faculty  
of Physics

WARSAW UNIVERSITY OF TECHNOLOGY

**Warsaw University  
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**RESEARCH  
UNIVERSITY**

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**NATIONAL SCIENCE CENTRE  
POLAND**

**FAIR**  
Phase-0  
Research Program



**XVII Polish Workshop on  
Relativistic Heavy-Ion Collisions**



# Outline

## 1) Motivation

- Why photon femtoscopy?

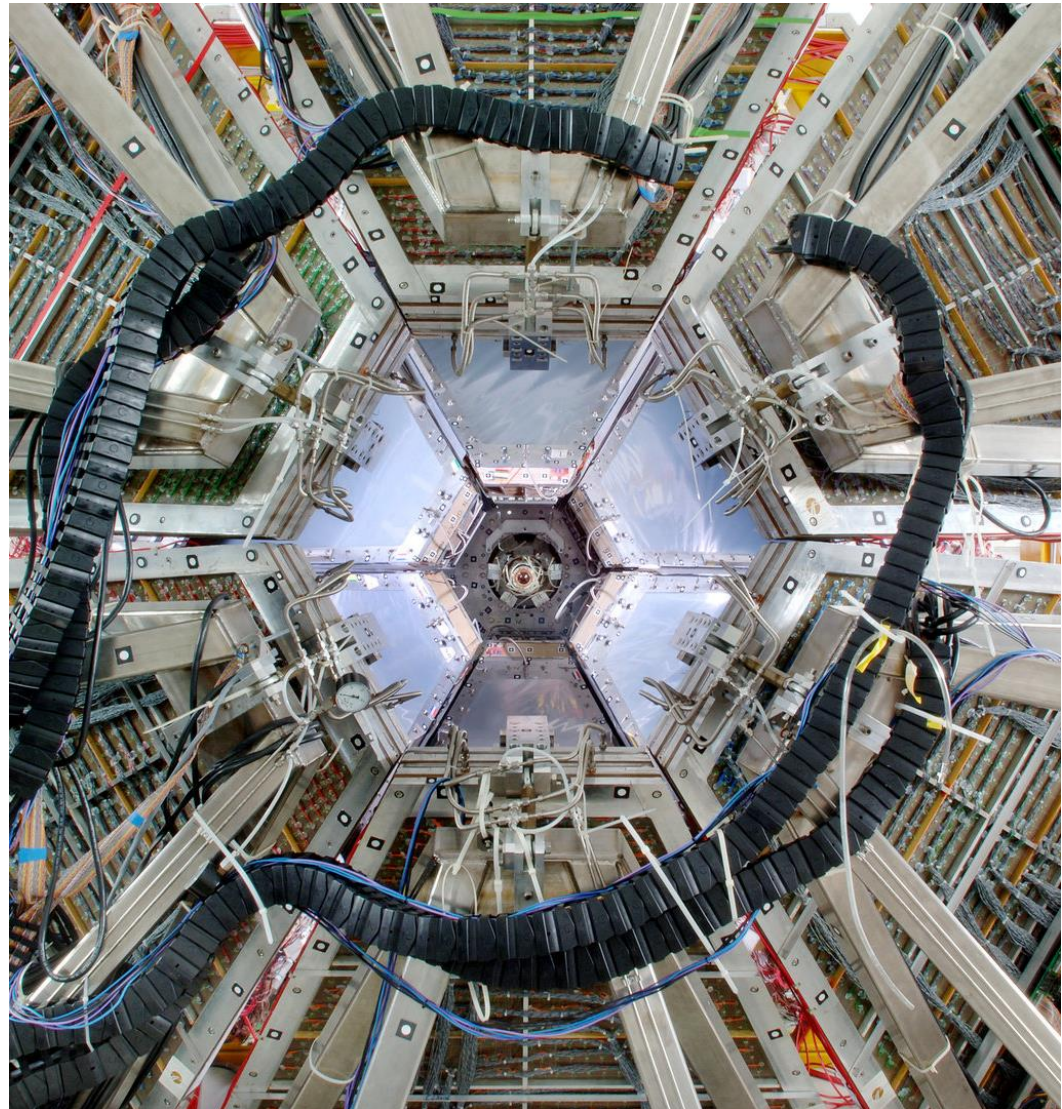
## 2) Femtoscopy technique

## 3) HADES experiment

## 4) Results:

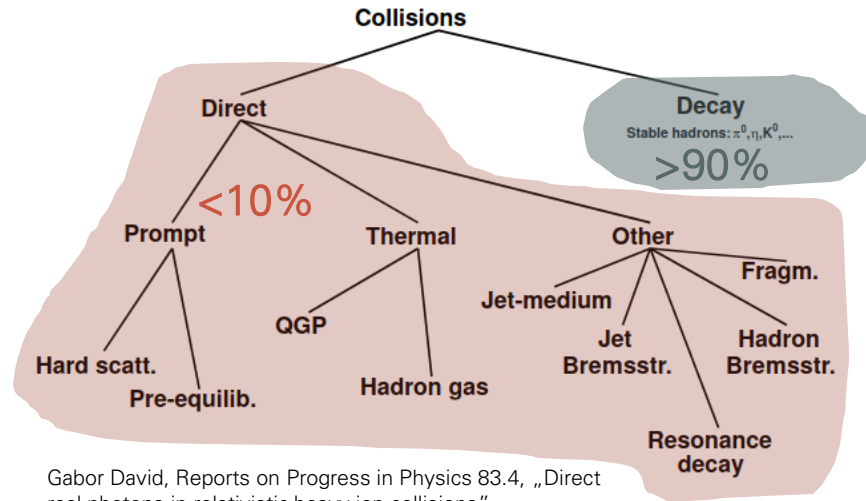
- Photon selection
- Necessary corrections
- Correlation functions + fits

## 5) Summary

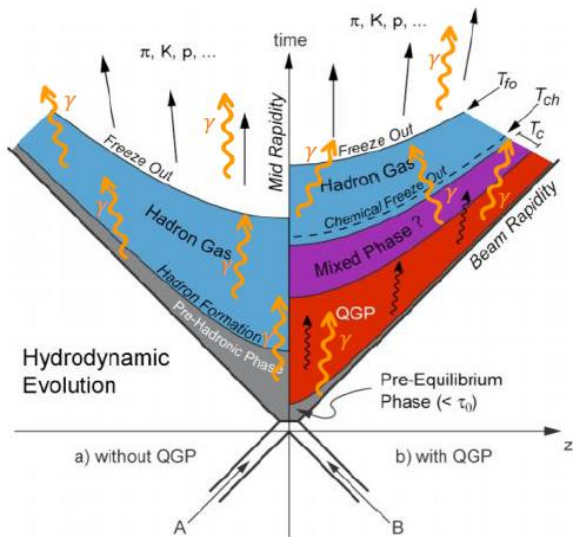


# Motivation

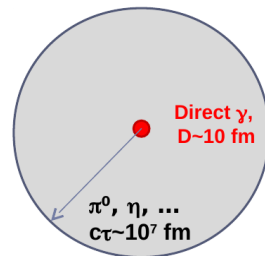
- Measure source properties at **early stages** -> inaccessible for hadrons
- Estimate average **direct photon yield**
- Easy in theory, challenging in practice



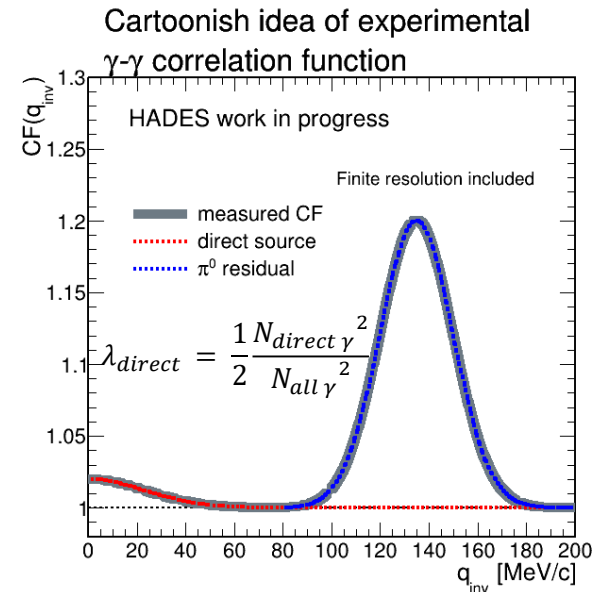
Gabor David, Reports on Progress in Physics 83.4, „Direct real photons in relativistic heavy ion collisions”



J. Stachel, K. Reyers, QGP physics SS2015 6., „Space-time evolution of the QGP”

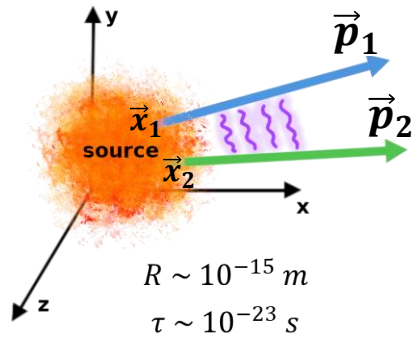


$$q_{inv} = M_{\gamma\gamma} = \sqrt{2E_1 E_2 (1 - \cos(\alpha_{\gamma\gamma}))}$$



# Femtoscscopy

**Goal** - measure source's space-time characteristics and/or interactions between particles through low relative momentum correlations.



**Theory**

Single particle emission function:  $P(\vec{p}) = \int S(\vec{x}) d^3x$

Two particle emission function:  $P(\vec{p}_1, \vec{p}_2) = \int S(\vec{x}_1; \vec{x}_2) |\Psi(\vec{x}_1, \vec{p}_1; \vec{x}_2, \vec{p}_2)|^2 d^3x_1 d^3x_2$

Correlation function:  $CF(\vec{p}_1, \vec{p}_2) = \frac{P(\vec{p}_1, \vec{p}_2)}{P(\vec{p}_1)P(\vec{p}_2)}$

$\vec{x}$  : particle's position

$\vec{p}$  : particle's momentum

$\Psi(\vec{x}_1, \vec{p}_1; \vec{x}_2, \vec{p}_2)$  : two particle's wave function

$S(\vec{x})$  : source function

$q = |\vec{p}_1 - \vec{p}_2|$  : momentum difference

$N_{same}(q)$  : same event distribution

$N_{mixed}(q)$  : mixed event distribution

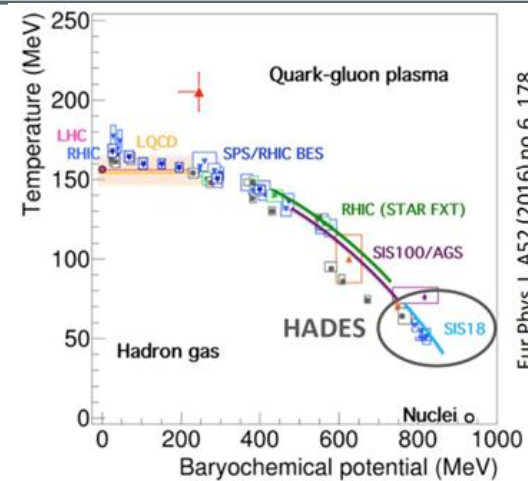
## Experiment

Correlation function:

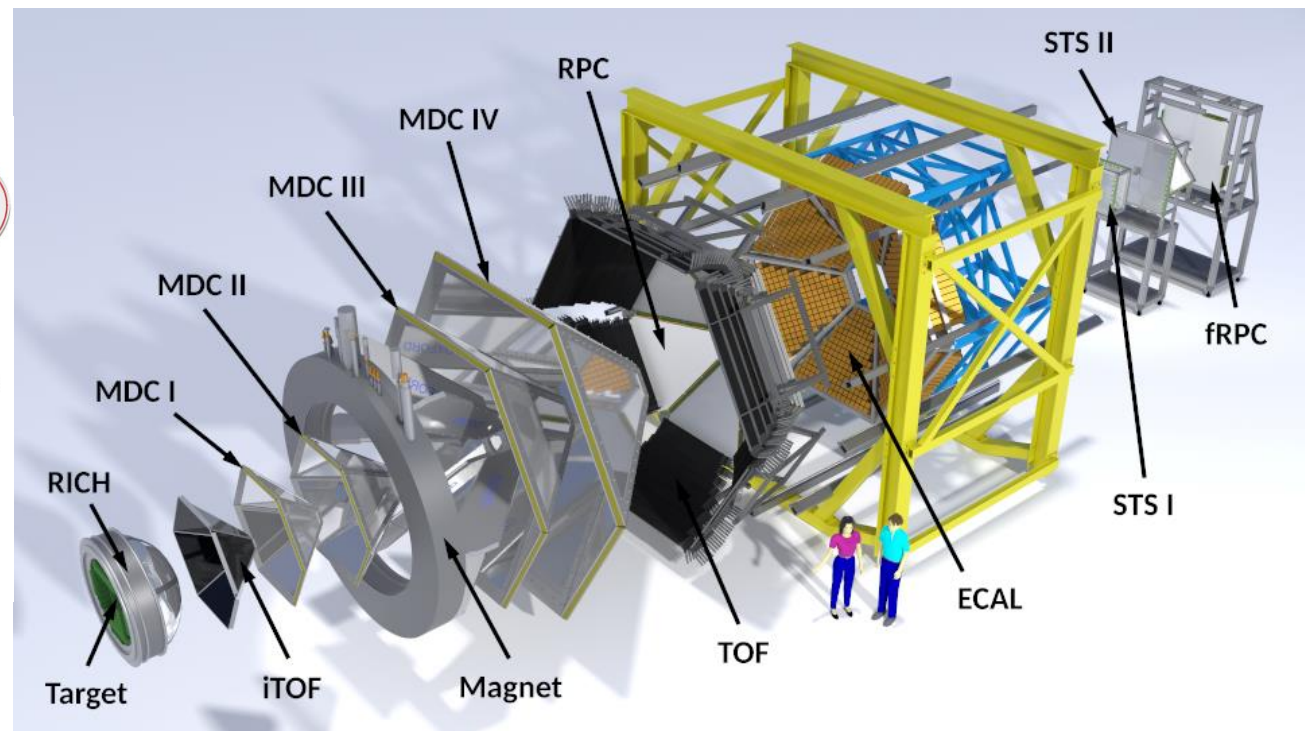
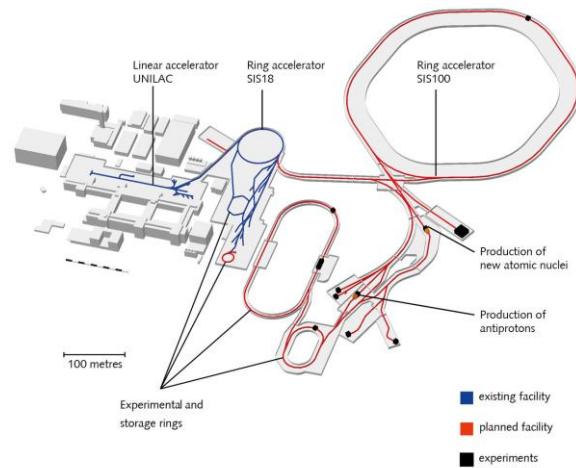
$$CF(q) = \frac{N_{same}(q)}{N_{mixed}(q)}$$



# HADES experiment

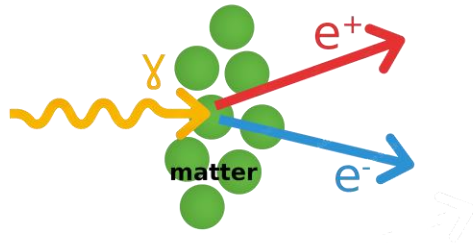


- High Acceptance Di-Electron Spectrometer
- Fixed target, few (1-2) GeV beam kinetic energy
- Measurement of dilepton pairs from vector mesons ( $\omega$ ,  $\phi$ ,  $\rho$ )
- High angular acceptance ( $0^\circ < \phi < 360^\circ$ ,  $18^\circ < \theta < 85^\circ$ ) split into 6 sectors
- High  $e^\pm$  reconstruction efficiency (RICH, ECAL) and  $\pi^\pm$  /  $p$  separation (TOF)



# Photons at HADES

## Photon Conversion Method (PCM)

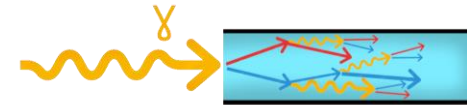


- High momentum and angular resolution
- Good lepton reconstruction efficiency at HADES
- Pure sample of photons

- Possible lepton close track effects due to small opening angle
- 2-step reconstruction (leptons  $\rightarrow$  photons)  $\rightarrow$  **low efficiency**
- **Low conversion** probability due to very small material budget of HADES
- ( $\sim 10^{-5}$  prob. of reconstructing  $2\gamma$ /event)

**Not enough photons reconstructed via PCM for femtosopic measurements!**

## Electromagnetic calorimeters (ECAL)



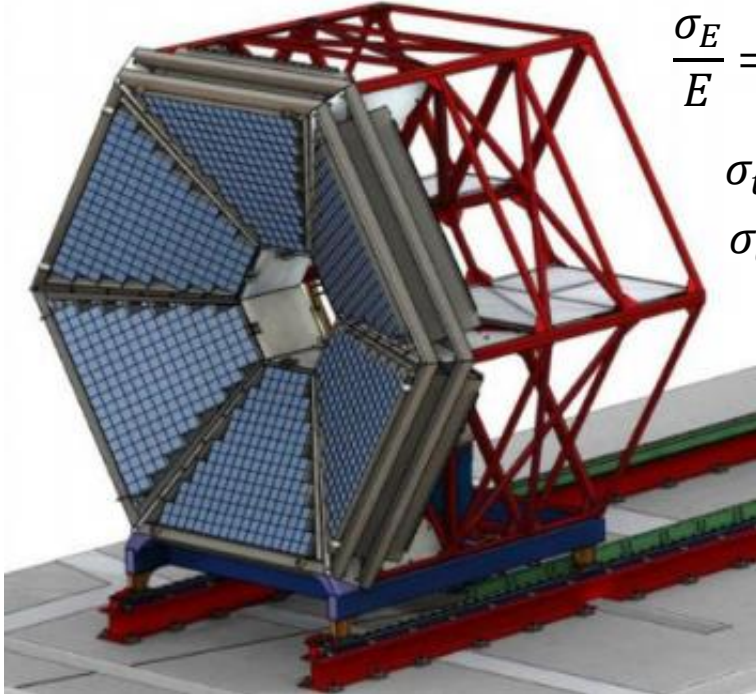
- Great efficiency due to direct reconstruction of neutral particles
- Decently pure sample with suitable criteria

- Calorimeter modules are usually big  $\rightarrow$  poor angular resolution
- Low-end energy resolution is low due to  $\sim 1/\sqrt{E}$  behavior  $\rightarrow$  low  $Q_{INV}$  might be fairly smeared, since:

$$q_{inv} = m_{\gamma\gamma} = \sqrt{2E_1E_2(1 - \cos(\alpha_{\gamma\gamma}))}$$

# Photons at HADES - ECAL

Electromagnetic calorimeters (ECAL)

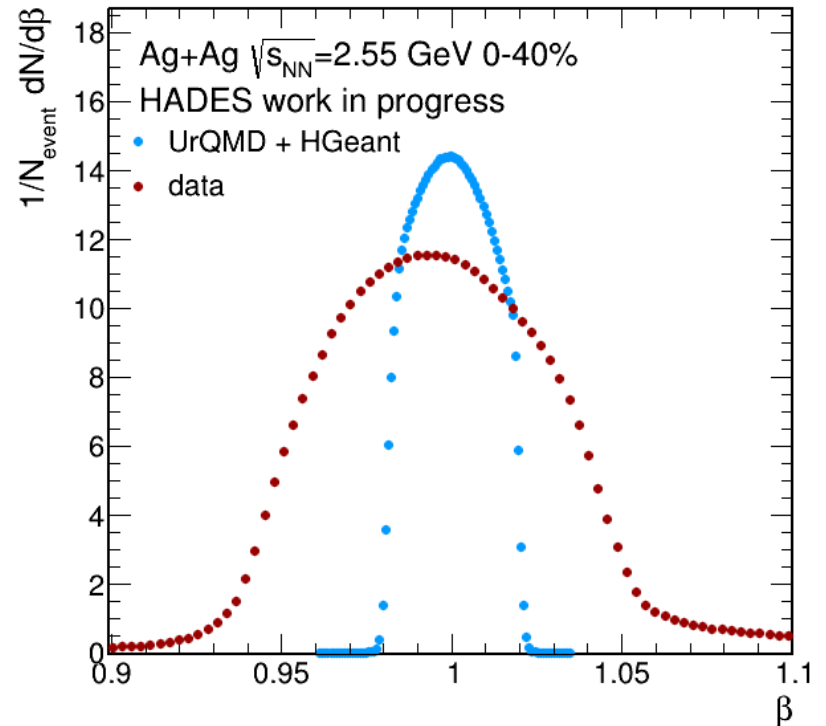


$$\frac{\sigma_E}{E} = \frac{6\%}{\sqrt{E}(\text{GeV})}$$

$$\sigma_t < 300 \text{ ps}$$

$$\sigma_{\alpha_{\gamma\gamma}} = 2.2^\circ$$

ECAL  $\gamma$   $\beta$  distribution

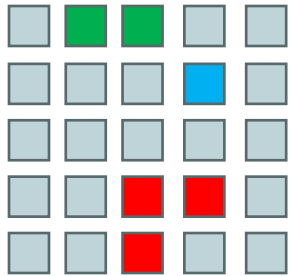


- Photon definition:

- No matching with charged tracks or hits in ToF detectors within  $6\sigma$
- No charged particle with opening angle to cluster  $> 2.8^\circ$
- Cells closest to the beam line are not used
- Total cluster energy  $> 100$  MeV, minimal energy in each module  $> 50$  MeV
- $\beta$  within  $1\sigma$  from expected photon peak ( $\beta \sim 1$ ), adjusted for each module (and day/hour of a beamtime)

statistical uncertainties only

# Photons at HADES - ECAL



Modules are  $\sim 2.2^\circ$  (92 mm) wide,  
Can't separate  $2\gamma$  within 300 ps interval  $\rightarrow$  1 module detects 1  $\gamma$

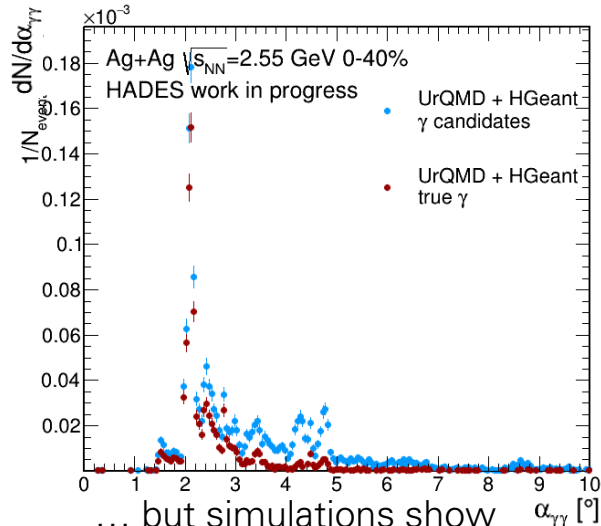
Minimum opening angle by geometry, aka. „hardware limit”  $\sim 4.4^\circ$  (for 2 „size 1” clusters)

$\gamma$  triggers:

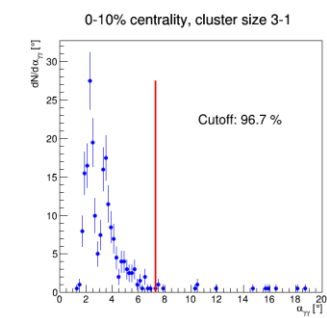
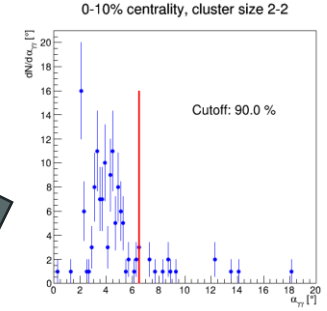
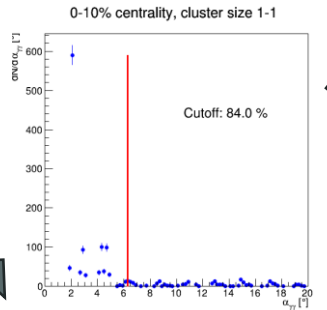
- 1 module  $\rightarrow$  cluster size 1
- 2 modules  $\rightarrow$  cluster size 2
- 3 modules  $\rightarrow$  cluster size 3

...

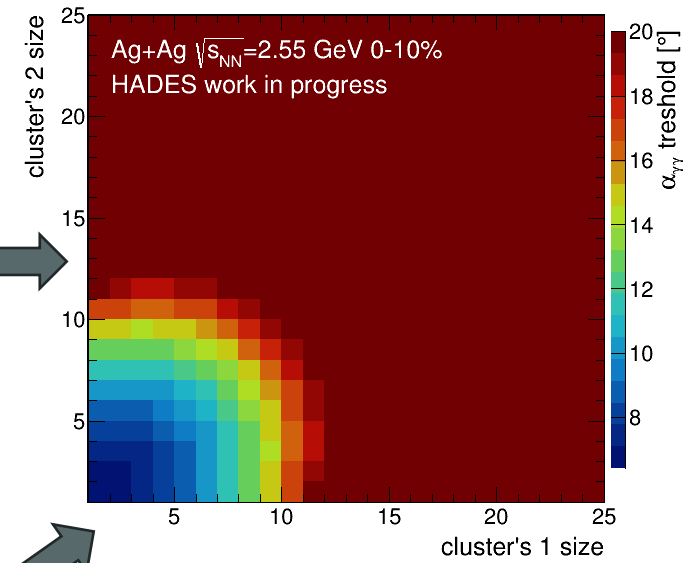
ECAL  $\alpha_{\gamma\gamma}$ , same Geant track pairs



... but simulations show some „split” clusters



Two ECAL  $\gamma$   $\alpha_{\gamma\gamma}$  threshold map

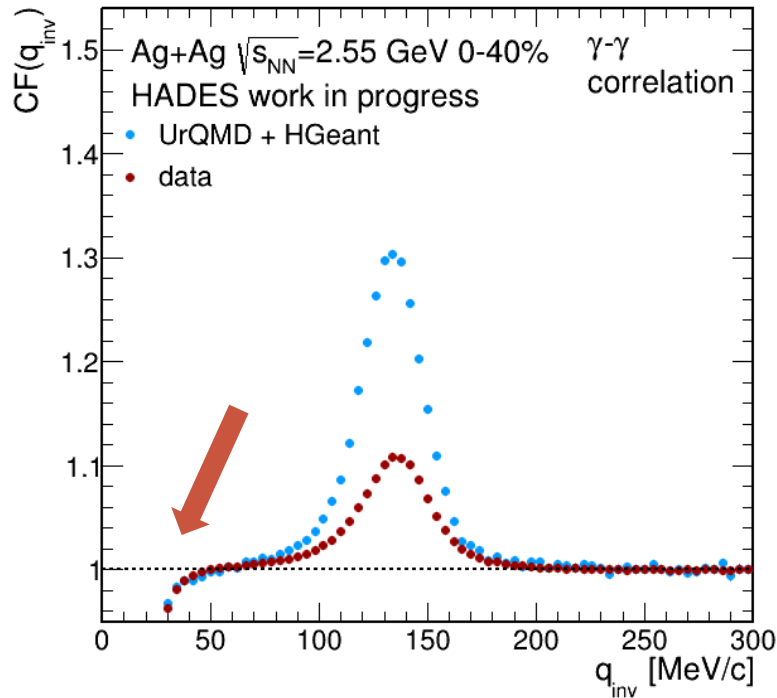


Made for each 10% centrality interval separately

statistical uncertainties only



# Photon-photon correlation functions, Ag+Ag at 2.55 GeV



UrQMD + HGeant → HADES's simulations.  
No FSI/QS involved, no direct photons present.  
Used as a benchmark of detector effects

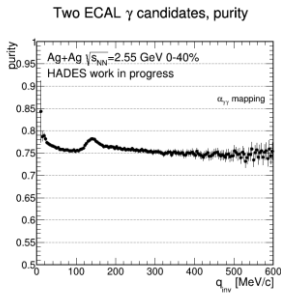
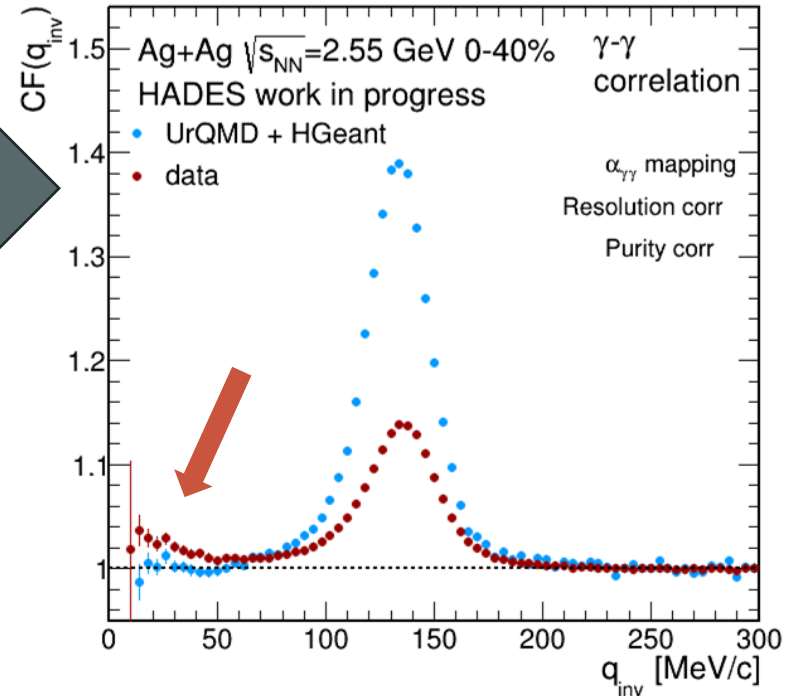
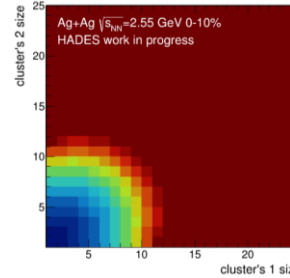
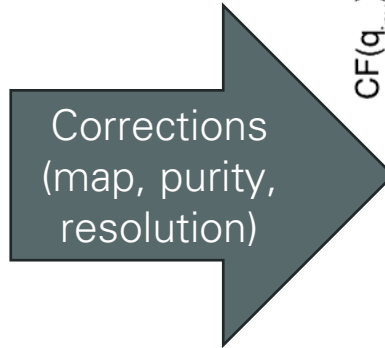
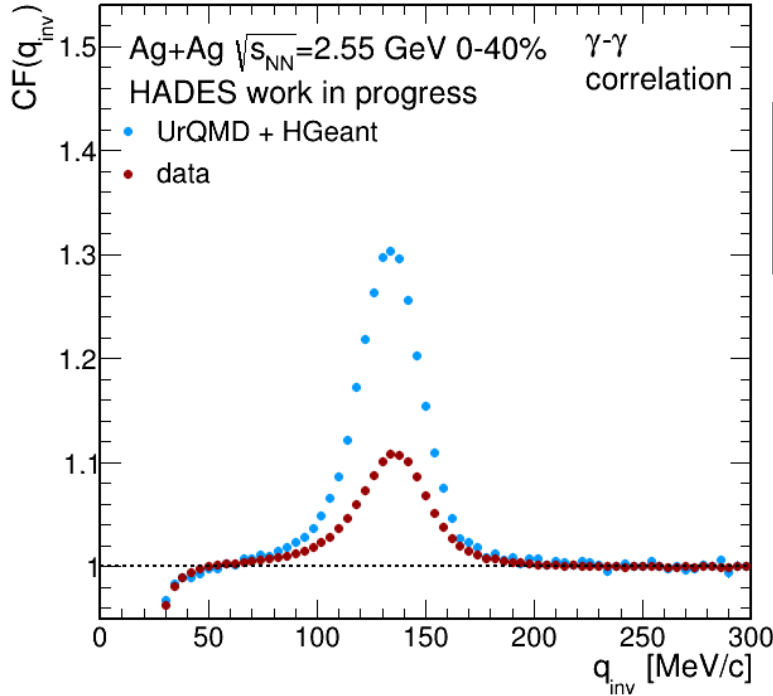
data → real data gathered by HADES

Anticorrelation caused by uneven  $\alpha_{\gamma\gamma}$  acceptance between same & mixed events („hardware limit“)

$$q_{inv} = \sqrt{(\vec{p}_1 - \vec{p}_2)^2 - (E_1 - E_2)^2}$$

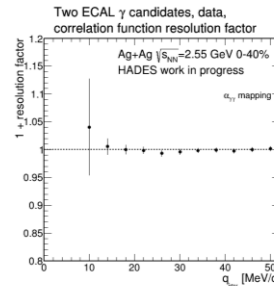
statistical uncertainties only

# Photon-photon correlation functions, Ag+Ag at 2.55 GeV



$$purity_{sim}(q_{inv}) = \frac{N_{\gamma\gamma pair}(q_{inv})}{N_{any pair}(q_{inv})}$$

$$CF_{pur corr}(q_{inv}) = \frac{CF(q_{inv}) - 1}{purity(q_{inv})} + 1$$

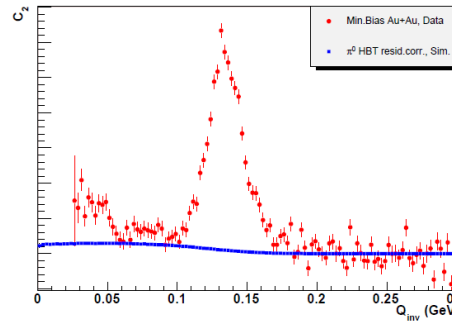
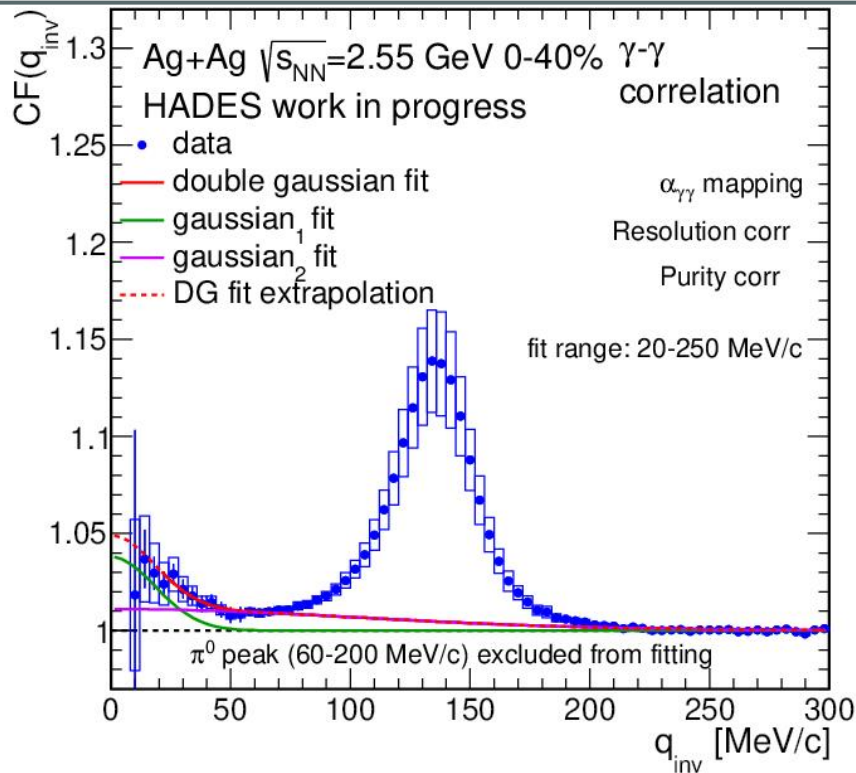


$$1 + res_{sim}(q_{inv}) = \frac{CF_{smear}(q_{inv})}{CF_{not smear}(q_{inv})}$$

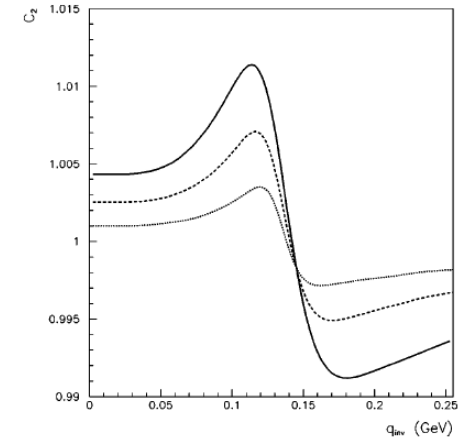
$$CF_{res corr}(Q_{INV}) = \frac{CF(q_{inv})}{1 + res. factor(q_{inv})}$$

statistical uncertainties only

# Photon-photon CF, Ag+Ag at 2.55 GeV, fits



„Bose-Einstein correlations of direct photons in Au+Au collisions at sNN = 200 GeV“, D. Peressounko for the PHENIX collaboration, International Journal of Modern Physics E



„Hanbury Brown-Twiss interferometry of direct photons in heavy ion collisions“, D. Peressounko PHYSICAL REVIEW C 67, 014905 (2003)

$$CF(q_{inv}) = 1 + \lambda_1 e^{(-q_{inv}^2 R_1^2)} + \lambda_2 e^{(-q_{inv}^2 R_2^2)}$$

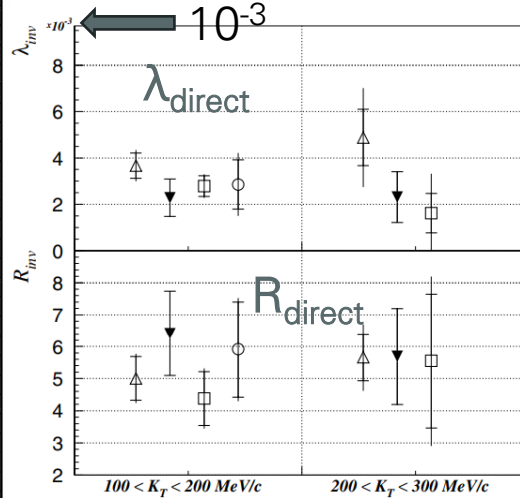
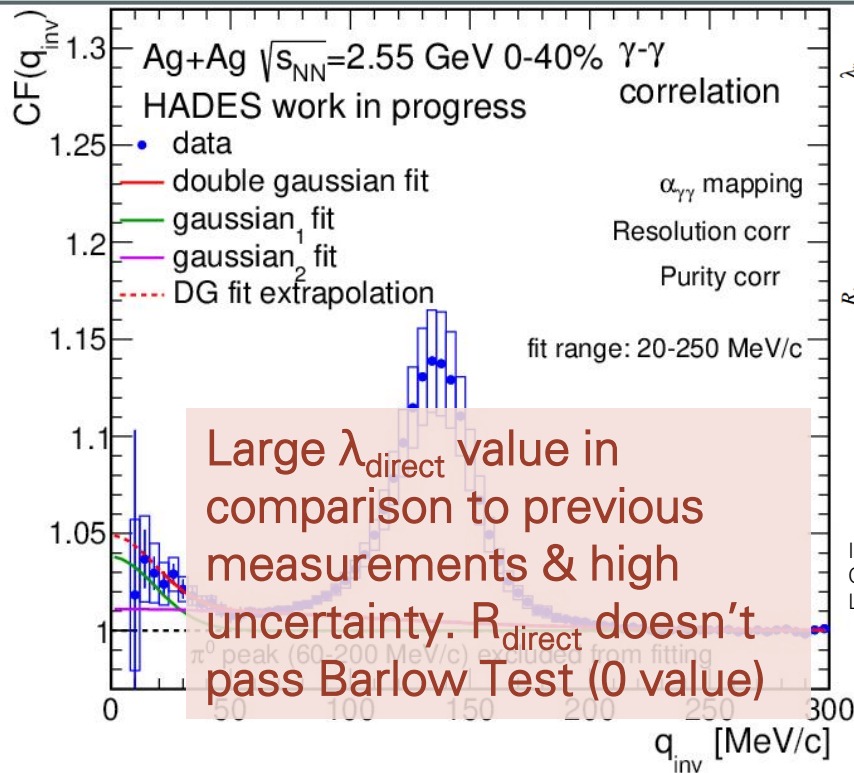
variable	value	stat. uncert.	syst. uncert.	syst. uncert. (+ Barlow test)
$R_1$ [fm]	7.648	$\pm 1.438$	+ 0.341 - 0.487	+ 0.000 - 0.000
$\lambda_1$	0.0379	$\pm 0.0167$	+ 0.0197 - 0.0253	+ 0.0153 - 0.0253
$R_2$ [fm]	1.353	$\pm 0.038$	+ 0.160 - 0.195	+ 0.153 - 0.189
$\lambda_2$	0.0111	$\pm 0.0006$	+ 0.0028 - 0.0019	+ 0.0028 - 0.0018

Direct-like  $\gamma$  signal

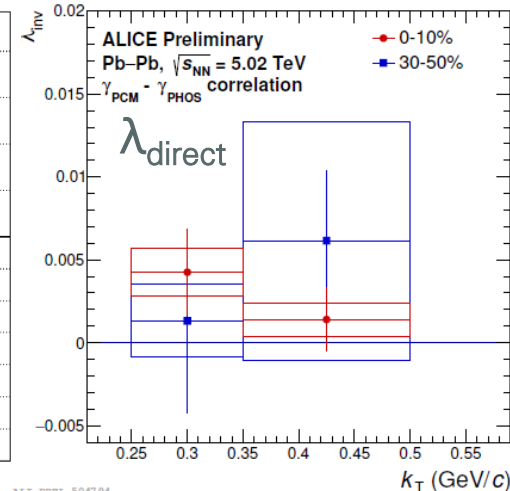
Neutral  $\pi$ - $\pi$  residual



# Photon-photon CF, Ag+Ag at 2.55 GeV, fits



Interferometry of Direct Photons in Central 208Pb 208Pb Collisions at 158A GeV, Aggarwal, M. M., Physical Review Letters, 93(2). doi:10.1103/physrevlett.93.022301



ALI-PREL-504794  
 „DIRECT PHOTON PRODUCTION AND HBT CORRELATIONS IN Pb-Pb COLLISIONS AT  $\sqrt{s_{NN}} = 5.02$  TeV WITH THE ALICE EXPERIMENT“, Meike Charlotte Danisch on behalf of the ALICE Collaboration, Acta Physica Polonica B Proceedings Supplement 16, 1-A122 (2023)

variable	value	stat. uncert.	syst. uncert.	syst. uncert. (+ Barlow test)
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Direct-like  $\gamma$  signal

Neutral  $\pi$ - $\pi$  residual

# Summary & Outlook

- Photon correlation functions at low collision energy were achieved using HADES's calorimeters, with full systematical analysis as well.
- Expected HBT-like signal was observed for  $q_{inv} < 50$  MeV/c, with additional contribution most likely coming from  $\pi^0$ - $\pi^0$  residua correlation
- The HBT parameters were extracted, although they suffer from high systematical uncertainty due to fitting variation differences.  $\lambda_{direct}$  parameter shows  $\sim 10$  times higher than expected value. This might be related to differences between real data & detector's implementation in simulations. Additional study to confirm that is needed.



Thank you for your attention!



**Don Quixote's quest continues!**



**Backup**

# Photon-photon CF, Ag+Ag at 2.55 GeV, systematics

Single particle	Default value	variation
No matching to charged track	$> 6$	$\pm 2$
Opening angle with any charged track	$< 2.8^\circ$	$\pm 0.8^\circ$
Minimal energy in module	$> 50 \text{ MeV}$	$\pm 20 \text{ MeV}$
No $\sigma$ for $\beta$	$< 1$	$\pm 0.5$

← Strength of charged particle's VETO

← Contribution from charged particles not matched with clusters

← Minimal energy resolution

← Contamination from other (fast) particles

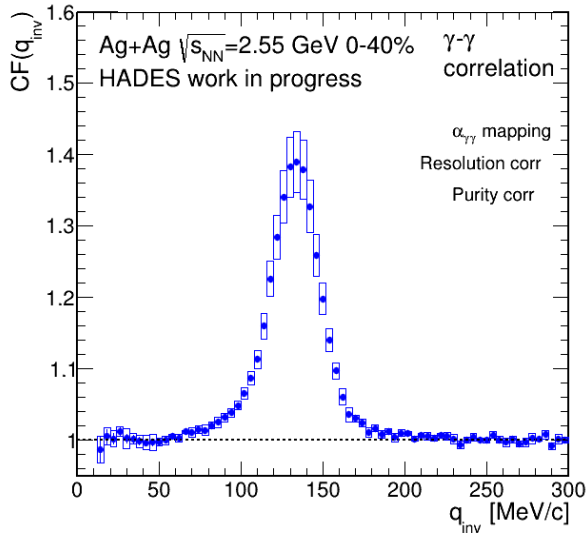
Pair	Default value	variation
Opening angle mapping	$> \text{value from map}$	$\pm 10\%$
Resolution correction	value from function	$\pm 10\%$
Purity correction	value from function	$\pm 10\%$

← Stability/strength of two track effects correction

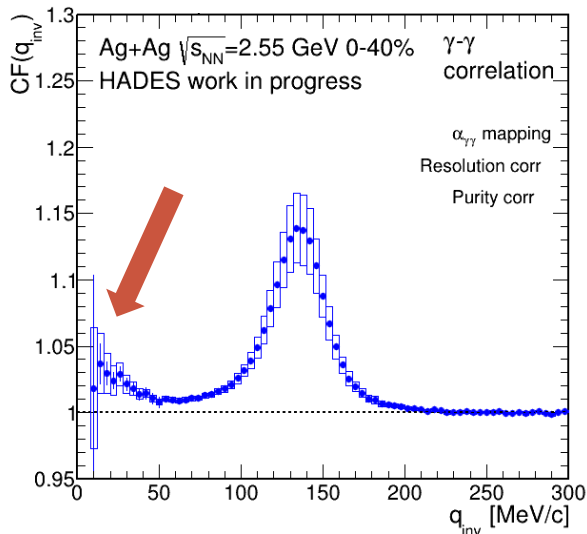
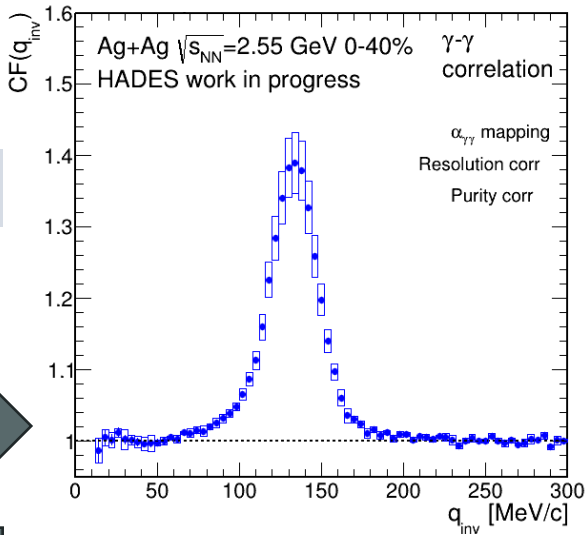
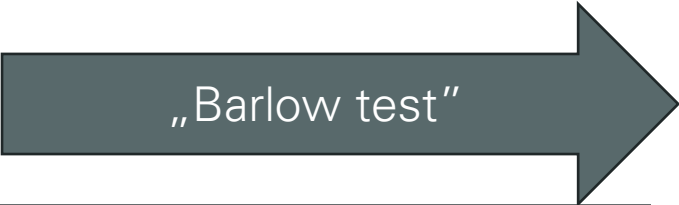
← Impact of resolution correction

← Impact of purity correction

# Photon-photon CF, Ag+Ag at 2.55 GeV, systematics



UrQMD + HGeant



$$diff = CF_{default} - CF_{var} , \sigma_{diff} = \sqrt{|stat_{def}^2 - stat_{var}^2|}$$

$$If \text{diff} < \sigma_{diff} , \text{sys} = 0 . \text{Else, } \text{sys} = \sqrt{diff^2 - \sigma_{diff}^2}$$

$$sys_{total} = \sqrt{(sys_{var1}^2 + sys_{var2}^2 + \dots + sys_{varn}^2)}$$

data

Very subtle change introduced by Barlow test → small impact of statistics on data points

