

INSS 2011 – group 4, problem 17

Mark Rayner

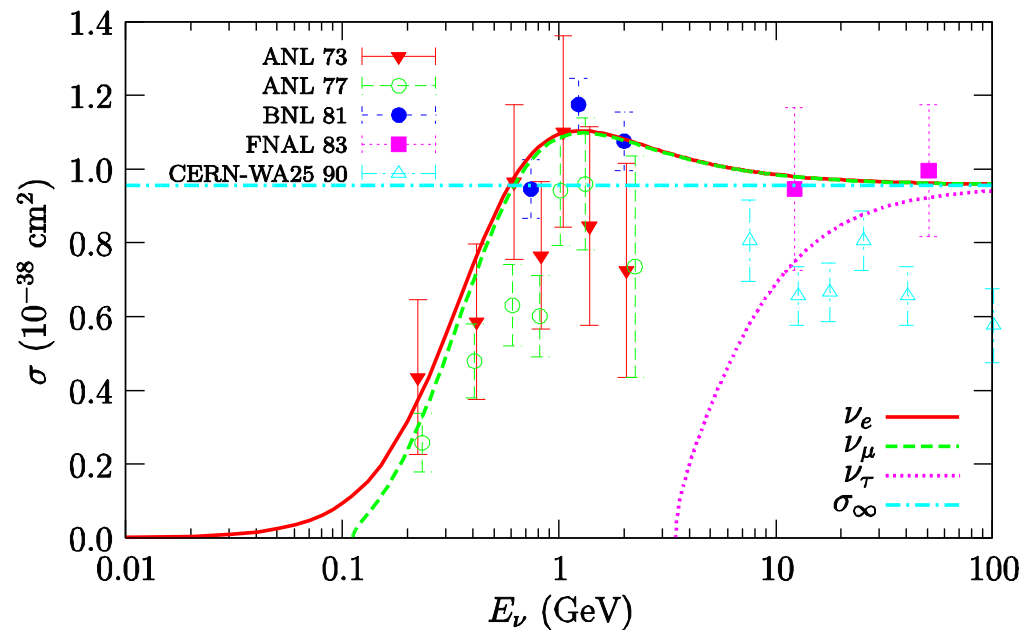
Josh Devan

Marcelo Nascimento Souza

the problem

Produce a ν beam containing a large fraction ($>10\%$) of ν_τ to study charged-current ν_τ interactions. Propose a detector capable of the measurement.

Kinematic constraints require a 4 GeV ν_τ beam.



ν_τ beam 1 – D_S factory

Collide a target with protons and hope to produce D_S .

$$D_S \rightarrow \tau + \nu_\tau \quad (6.6\%)$$

If you can tag D_S with efficiency $>10\%$ and trigger the detector, you've effectively created a ν_τ beam.

$$D_S \text{ lifetime} = 500 \text{ fs, } ct = 150 \text{ } \mu\text{m}$$

This requires a target with integrated sub-mm tracking.

ν_τ beam 2 – “asymmetric giga-Z factory”

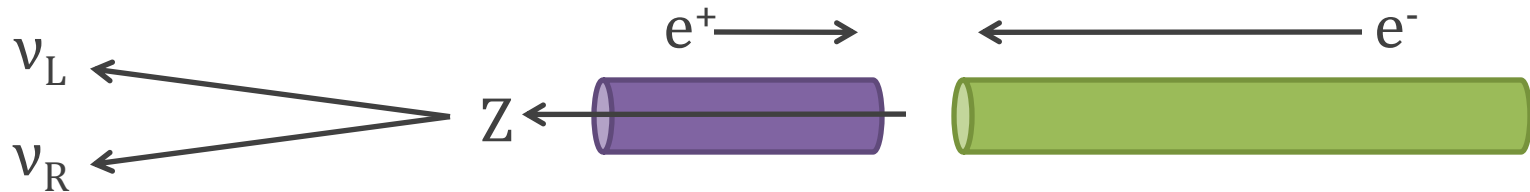
Two linear colliders of unequal energy tuned to the Z resonance. Center of mass is boosted in one direction, producing a ν beam as the Z decays.

$$\text{LEP luminosity} = 24 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$$

$$\sigma_Z = 4 \times 10^{-32} \text{ cm}^2$$

$$\text{rate} = 0.96 \text{ s}^{-1}$$

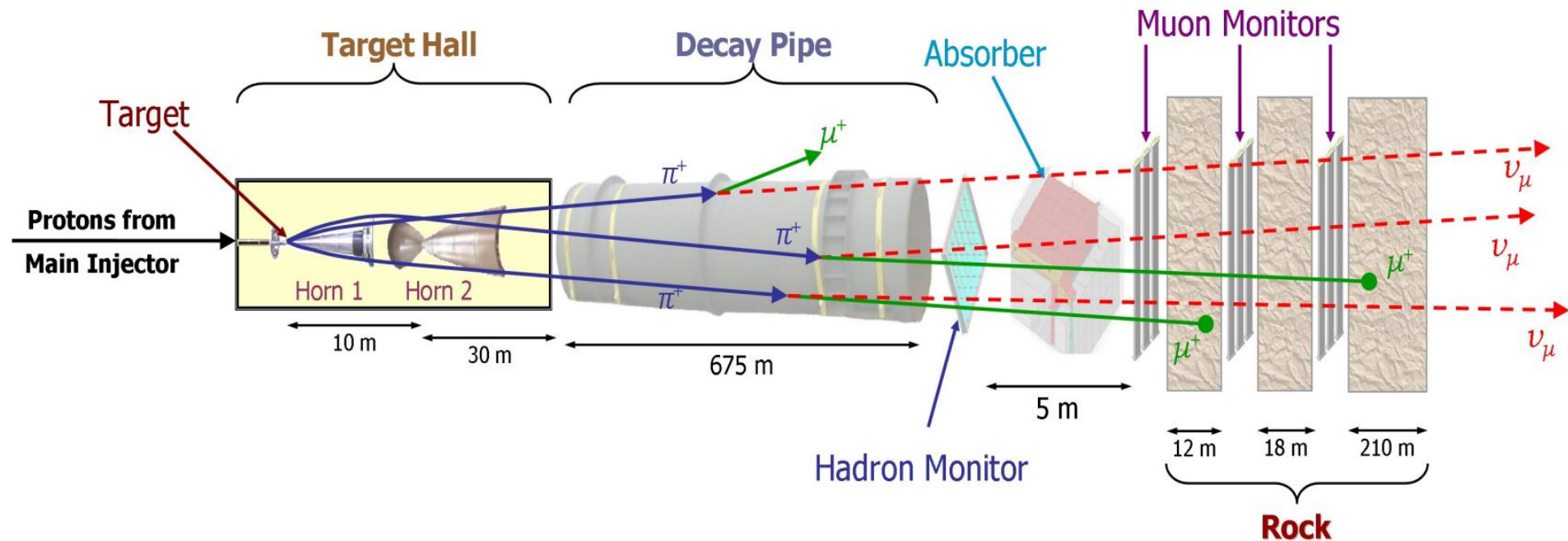
Of which, 1/3 are ν_τ .



ν_τ beam 3 – oscillated ν_μ beam

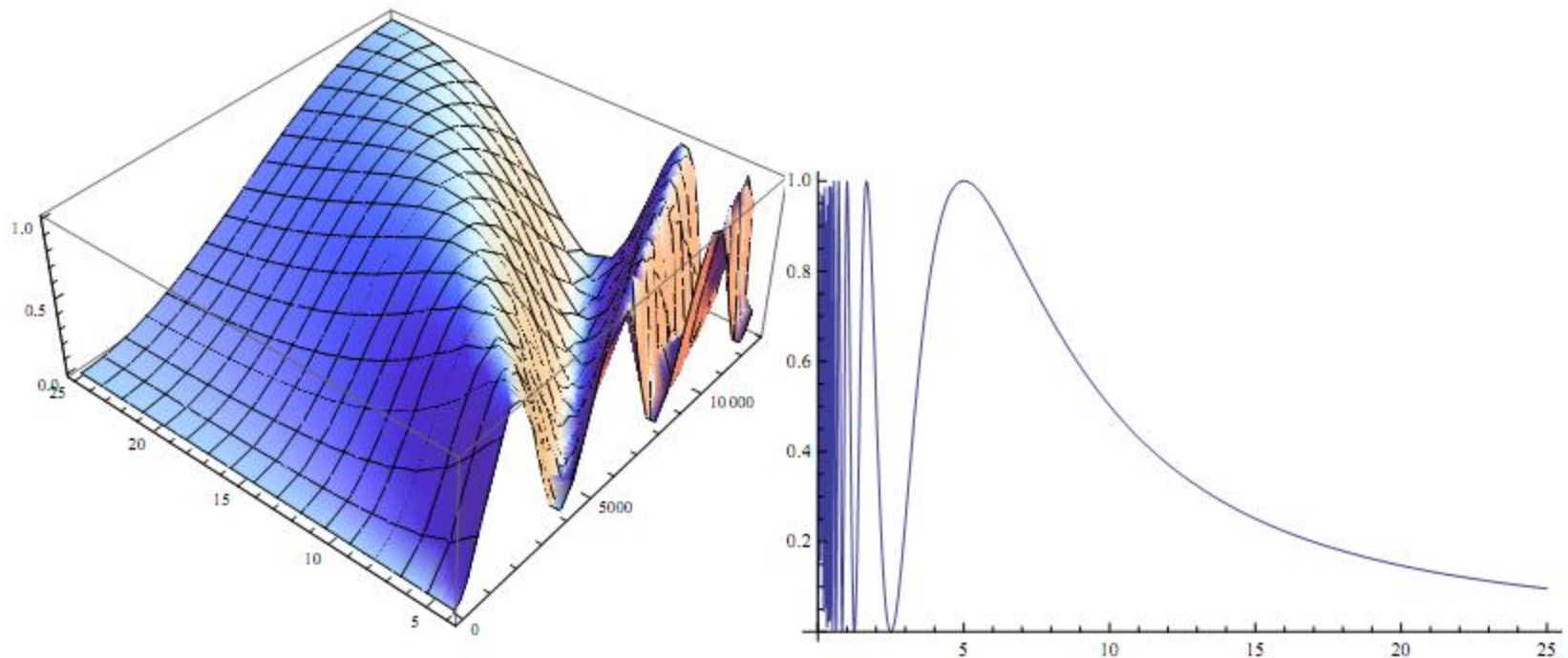
A typical $\pi \rightarrow \mu + \nu_\mu$ beam will oscillate to ν_τ .

Experimentally measured oscillation parameters determine the ν_τ flux at all points for all energies.



Superbeam at 1st oscillation maximum

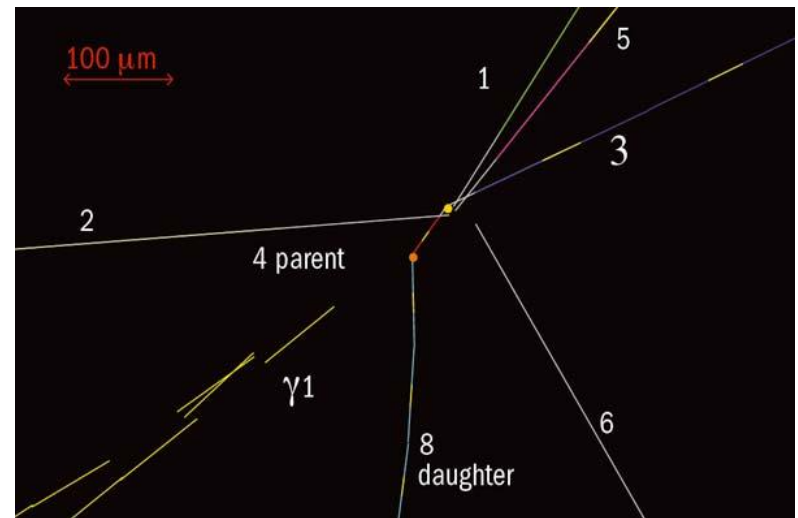
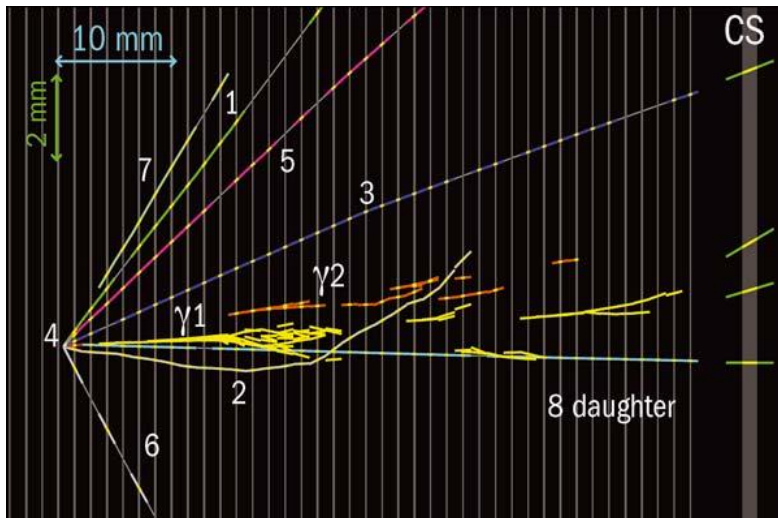
- Assume $\sin^2 2\theta_{\text{atm}} = 1$ (maximal mixing)
- Assume $\Delta m_{\text{atm}}^2 = (2.43 \pm 0.13) \times 10^{-3} \text{ eV}^2$ (PDG)
- Choose L for 1st osc. max. at $E_0 = 5 \text{ GeV}$ so at interesting low $\sigma_{\tau}^{\text{CC}}$ region
- 1st osc. max. at 2550 km ($R_{\text{earth}} = 6378 \text{ km}$)



τ detection

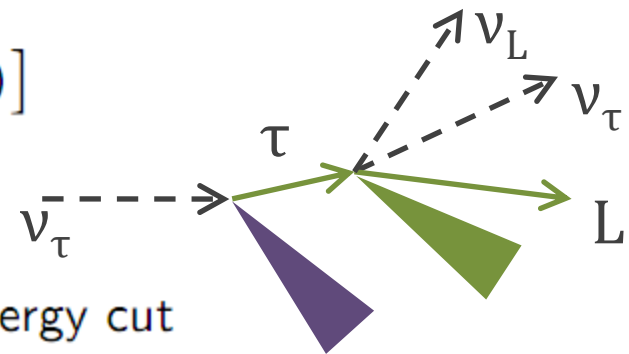
Identify a short ($150 \mu\text{m}$) τ track:

- bubble chamber
- absorber/emulsion stack – DONUT, OPERA



Sketch of the principle for measuring $\sigma_{\tau}^{\text{CC}}$

- Seek to identify rate in F.D. of creating a τ
- $R_{\text{FD}}^{\text{TOTAL}} = \Phi N [f_{\tau}(\sigma_{\tau}^{\text{CC}} + \sigma_{\tau}^{\text{NC}}) + f_{\mu}(\sigma_{\mu}^{\text{CC}} + \sigma_{\mu}^{\text{NC}})]$
- $\tau^{-} \rightarrow \mu^{-} \nu_{\tau} \bar{\nu}_{\mu}$ with B.R. 17.4%
- $\tau^{-} \rightarrow e^{-} \nu_{\tau} \bar{\nu}_e$ with B.R. 17.4%
- Identify this 37% with a missing transverse energy cut
- Use a Monte Carlo to study the efficiency ϵ



$$\sigma_{\tau}^{\text{CC}} = \frac{N_{\text{cuts}}^{2\nu}}{\Phi N t_{\text{exposure}}} \frac{1}{\epsilon} \frac{1}{0.37}$$

- ϵ - and resolution - will be best when intrinsic ν_{μ} contamination is ~ 0 at E_0
- Near detector for Φ and $\sigma_{\mu}^{\text{NC}} = \sigma_{\tau}^{\text{NC}}$ for M.C.??