



ALICE

# Hidden charm production in pp collisions at 13.6 TeV

*Measurement of the  $\eta_c(1S)$ ,  $J/\psi$ ,  $\psi(2S)$  yields using  
hyperon decay channel with ALICE*

*David Dobrigkeit Chinellato<sup>1</sup>, Romain Schotter<sup>1</sup>,*

Wednesday 6<sup>th</sup> of October 2024

ÖAW



<sup>1</sup> Stefan Meyer Institute for Subatomic Physics of the Austrian  
Academy of Sciences

---

# Hidden-charm meson production



Understand better the charm-quark hadronisation in a collective medium (in AA but also pp)

- Provide a better understanding of charm baryon production
- Provide a better understanding of open- and **hidden-charm meson** productions

Charmonium production is essentially studied with  $J/\psi$  and  $\psi(2S)$  particles

$\eta_c$  is relatively unexplored experimentally

$$\eta_c(1S) \rightarrow p\bar{p} \quad (\text{B.R. } 1.35 \times 10^{-3})$$

→ challenging combinatorial background

LHCb Collaboration, [Eur. Phys. J. C 80, 191](#)

## Measurement of the $\eta_c(1S)$ production cross-section in $pp$ collisions at $\sqrt{s} = 13$ TeV

LHCb collaboration<sup>[1]</sup>

### Abstract

Using a data sample corresponding to an integrated luminosity of  $2.0 \text{ fb}^{-1}$ , collected by the LHCb experiment, the production of the  $\eta_c(1S)$  state in proton-proton collisions at a centre-of-mass energy of  $\sqrt{s} = 13$  TeV is studied in the rapidity range  $2.0 < y < 4.5$  and in the transverse momentum range  $6.5 < p_T < 14.0$  GeV. The cross-section for prompt production of  $\eta_c(1S)$  mesons relative to that of the  $J/\psi$  meson is measured using the  $p\bar{p}$  decay mode and is found to be  $\sigma_{\eta_c(1S)}/\sigma_{J/\psi} = 1.69 \pm 0.15 \pm 0.10 \pm 0.18$ . The quoted uncertainties are, in order,

**low- $p_T$  production is the most interesting** ←

# Hidden-charm meson production



Understand better the charm-quark hadronisation in a collective medium (in AA but also pp)

- Provide a better understanding of charm baryon production
- Provide a better understanding of open- and **hidden-charm meson** productions

Charmonium production is essentially studied with  $J/\psi$  and  $\psi(2S)$  particles

$\eta_c$  is relatively unexplored experimentally

$$\eta_c(1S) \rightarrow p\bar{p} \quad (\text{B.R. } 1.35 \times 10^{-3})$$

→ challenging combinatorial background

Could drastically be reduced by exploiting **(multi-)strange baryons**

# Hidden-charm meson production

Understand better the charm-quark hadronisation in a collective medium (in AA but also pp)

- Provide a better understanding of charm baryon production
- Provide a better understanding of open- and **hidden-charm meson** productions

Charmonium production is essentially studied with  $J/\psi$  and  $\psi(2S)$  particles

$\eta_c$  is relatively unexplored experimentally

$$\eta_c(1S) \rightarrow p\bar{p} \quad (\text{B.R. } 1.35 \times 10^{-3})$$

→ challenging combinatorial background

Could drastically be reduced by exploiting **(multi-)strange baryons**

$$\eta_c(1S) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 1.02 \times 10^{-3})$$

$$J/\psi \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 1.89 \times 10^{-3})$$

$$\chi_{c0}(1P) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 3.59 \times 10^{-4})$$

$$\chi_{c1}(1P) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 1.27 \times 10^{-4})$$

$$\chi_{c2}(1P) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 1.07 \times 10^{-4})$$

$$\psi(2S) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 3.81 \times 10^{-4})$$

$$\eta_c(1S) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 9.0 \times 10^{-4})$$

$$J/\psi \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 9.7 \times 10^{-4})$$

$$\chi_{c0}(1P) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 4.45 \times 10^{-4})$$

$$\chi_{c1}(1P) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 6.0 \times 10^{-5})$$

$$\chi_{c2}(1P) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 1.46 \times 10^{-4})$$

$$\psi(2S) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 2.87 \times 10^{-4})$$

→ Pave the way towards a **precise exploration of the whole charmonium spectroscopy**

# Data samples and event selections



- **Data:** pp collisions at  $\sqrt{s} = 13.6$  TeV, 2023 thinned
  - strangeness derived data sample (*LF\_LHC23\_pass4\_Thin\_Strangeness*)
  - used only a chunk (50 files):  $16.7 \times 10^6$  events, **pass4**
- **Simulated data:** pp collisions at  $\sqrt{s} = 13.6$  TeV, Pythia 8 Monash 2013 + Geant4
  - strangeness derived data sample (*local simulations done by David*)
  - $0.5 \times 10^6$  events, enriched (via triggering) in  $\eta_c \rightarrow \Lambda\bar{\Lambda}$ ,  $J/\psi \rightarrow \Lambda\bar{\Lambda}$  and  $\psi(2S) \rightarrow \Lambda\bar{\Lambda}$
  - $0.5 \times 10^6$  events, enriched (via triggering) in  $\eta_c \rightarrow \Xi\bar{\Xi}^+$ ,  $J/\psi \rightarrow \Xi\bar{\Xi}^+$  and  $\psi(2S) \rightarrow \Xi\bar{\Xi}^+$
- **Event selections:**
  - minimum-bias events (*se/8*)
  - $|z_{\text{prim. vtx}}| < 10$  cm
  - Not at the ITS ROF or TF border
  - IsGoodZvtxFT0VsPV
  - NoSameBunchPileup

# Candidate selections

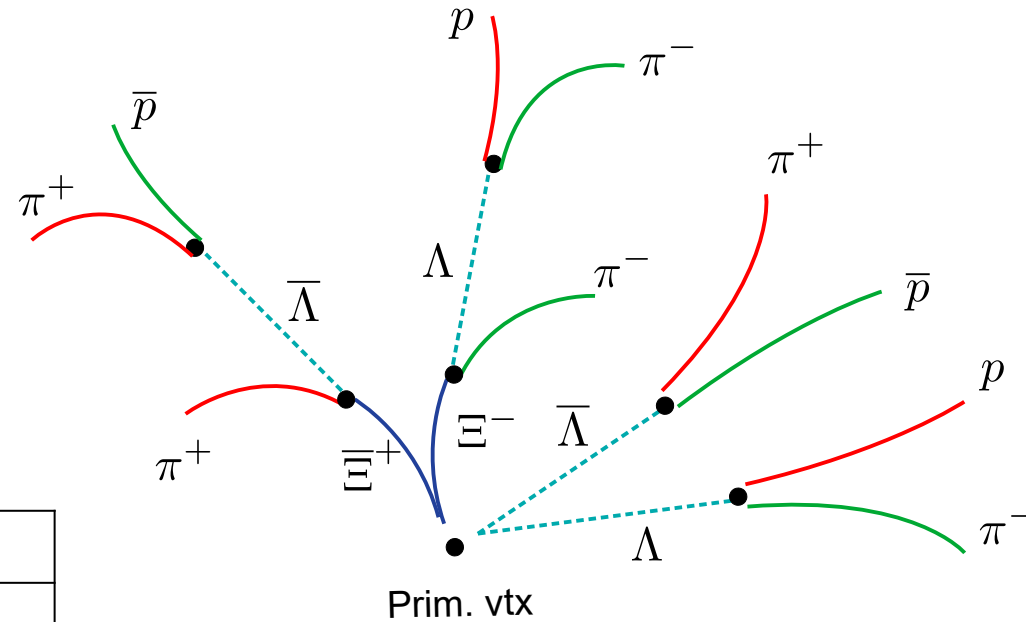


ALICE

The  $\eta_c(1S)$ ,  $J/\psi$  and  $\psi(2S)$  are studied in the following decay channels:

$$\begin{cases} \Lambda \rightarrow p \pi^- & \text{B.R. } 63.9 \% & c \cdot \tau = 7.89 \text{ cm} \\ \bar{\Lambda} \rightarrow \bar{p} \pi^+ & \text{B.R. } 63.9 \% & c \cdot \tau = 7.89 \text{ cm} \end{cases}$$

$$\begin{cases} \eta_c(1S) \rightarrow \Lambda \bar{\Lambda} & (\text{B.R. } 1.02 \times 10^{-3}) \\ J/\psi \rightarrow \Lambda \bar{\Lambda} & (\text{B.R. } 1.89 \times 10^{-3}) \\ \psi(2S) \rightarrow \Lambda \bar{\Lambda} & (\text{B.R. } 3.81 \times 10^{-4}) \end{cases}$$



## V0 reconstruction using topological selections:

$ \eta_{\text{daughters}} $	$< 0.8$
<b>Nbr of TPC crossed rows</b>	$> 70$
<b>DCA proton to PV</b>	$> 0.05 \text{ cm}$
<b>DCA pion to PV</b>	$> 0.1 \text{ cm}$
<b>TPC dE/dx</b>	$< 5 \sigma$

<b>DCA between V0 daughters</b>	$< 1\sigma$
<b>V0 Radius</b>	$> 1.2 \text{ cm}$
<b>V0 cos PA</b>	$> 0.97$
<b>V0 Mass cut</b>	$< 0.005 \text{ GeV}/c^2$
<b>Competing mass rejection</b>	$> 0.008 \text{ GeV}/c^2$
<b>Lifetime cut</b>	$< 3.8 c \tau$

$ y $	$< 0.5$
<b>Correct MC association</b>	Yes (only MC)

# Candidate selections

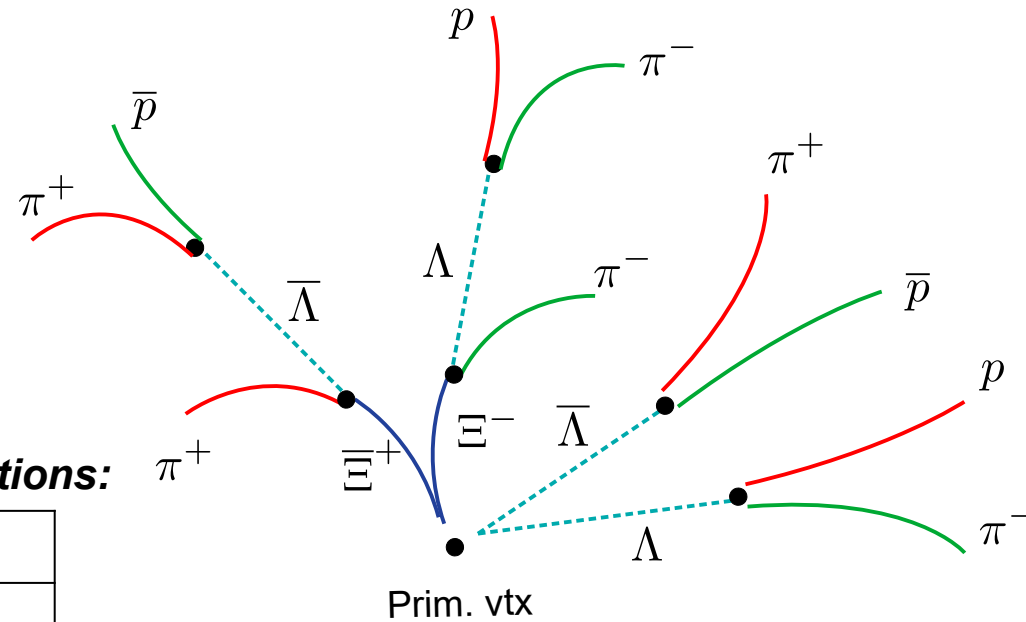


ALICE

The  $\eta_c(1S)$ ,  $J/\psi$  and  $\psi(2S)$  are studied in the following decay channels:

$$\left\{ \begin{array}{l} \Xi^- \rightarrow \Lambda \pi^- \quad \text{B.R. } 99.9 \% \quad c \cdot \tau = 4.91 \text{ cm} \\ \Xi^+ \rightarrow \bar{\Lambda} \pi^+ \quad \text{B.R. } 99.9 \% \quad c \cdot \tau = 4.91 \text{ cm} \end{array} \right.$$

$$\left\{ \begin{array}{l} \eta_c(1S) \rightarrow \Xi^- \bar{\Xi}^+ \quad (\text{B.R. } 9.0 \times 10^{-4}) \\ J/\psi \rightarrow \Xi^- \bar{\Xi}^+ \quad (\text{B.R. } 9.7 \times 10^{-4}) \\ \psi(2S) \rightarrow \Xi^- \bar{\Xi}^+ \quad (\text{B.R. } 2.87 \times 10^{-4}) \end{array} \right.$$



## Cascade reconstruction using topological selections:

$ \eta_{\text{daughters}} $	$< 0.8$
Nbr of TPC crossed rows	$> 70$
DCA bachelor to PV	$> 0.1 \text{ cm}$
DCA proton to PV	$> 0.05 \text{ cm}$
DCA pion to PV	$> 0.1 \text{ cm}$
TPC $dE/dx$	$< 5 \sigma$

DCA between V0 daughters	$< 1\sigma$
DCA V0 to PV	$> 0.05 \text{ cm}$
V0 Radius	$> 1.2 \text{ cm}$
V0 cos PA	$> 0.97$
V0 Mass cut	$< 0.008 \text{ GeV}/c^2$

DCA between casc. daughters	$< 1 \sigma$
Cascade Radius	$> 0.5 \text{ cm}$
Cascade cos PA	$> 0.97$
Cascade Mass cut	$< 0.005 \text{ GeV}/c^2$
Competing Mass rejection	$> 0.008 \text{ GeV}/c^2$
Cascade lifetime	$< 3 c \tau$

$ y $	$< 0.5$
Correct MC association	Yes (only MC)

# $\Lambda\bar{\Lambda}$ and $\Xi\bar{\Xi}^+$ invariant mass in MC

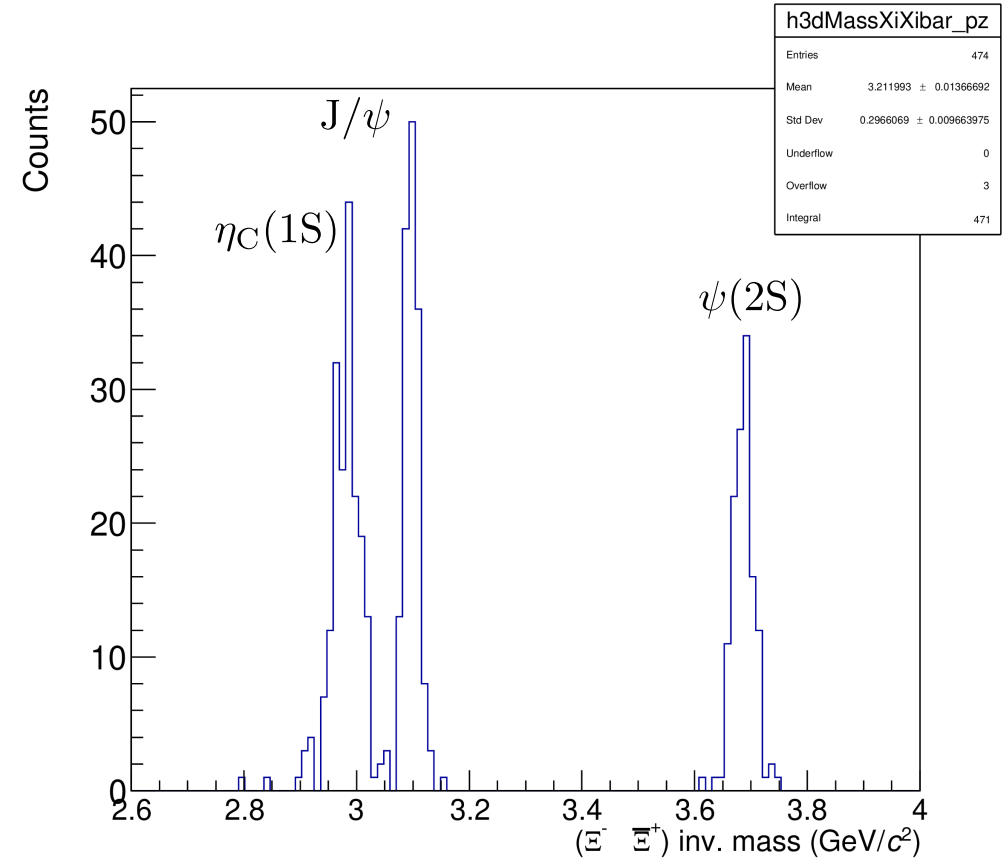
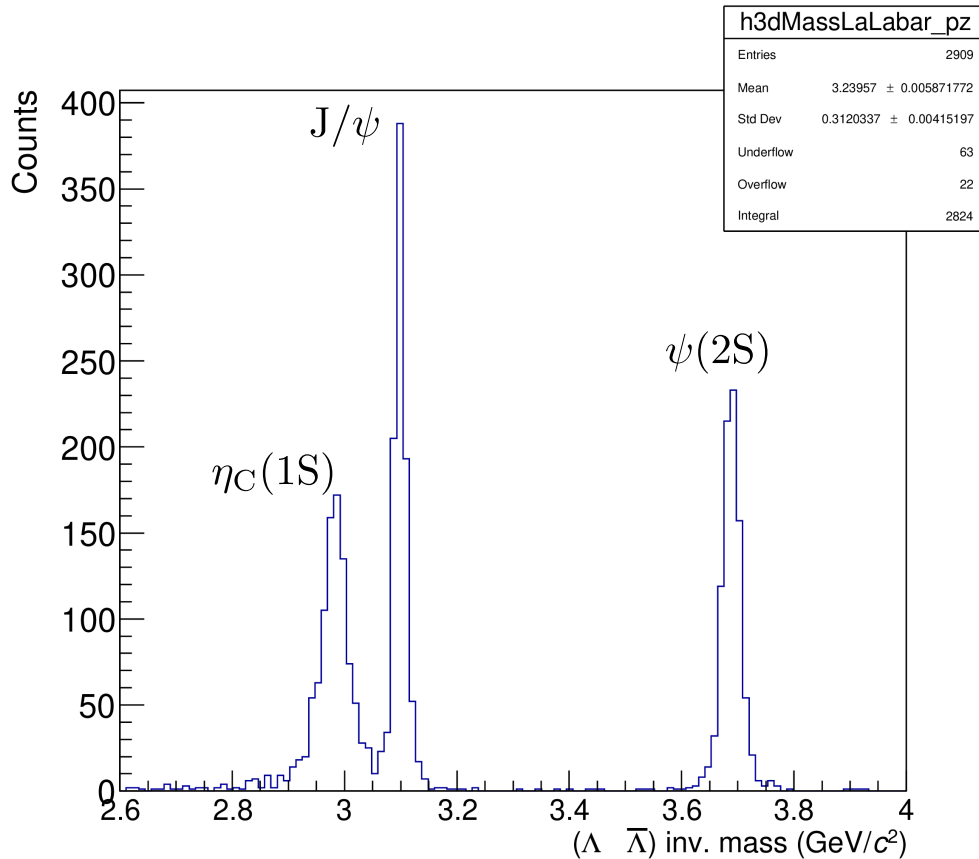


ALICE

A first look at the invariant mass distributions of hyperon-antihyperon pairs **in MC**

$$\left\{ \begin{array}{l} \eta_C(1S) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 1.02 \times 10^{-3}) \\ J/\psi \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 1.89 \times 10^{-3}) \\ \psi(2S) \rightarrow \Lambda\bar{\Lambda} \quad (\text{B.R. } 3.81 \times 10^{-4}) \end{array} \right.$$

$$\left\{ \begin{array}{l} \eta_C(1S) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 9.0 \times 10^{-4}) \\ J/\psi \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 9.7 \times 10^{-4}) \\ \psi(2S) \rightarrow \Xi^-\bar{\Xi}^+ \quad (\text{B.R. } 2.87 \times 10^{-4}) \end{array} \right.$$



$\eta_C(1S)$ ,  $J/\psi$  and  $\psi(2S)$  peaks are visible!



# Reconstruction efficiencies

From the  $\eta_c(1S)$ ,  $J/\psi$  and  $\psi(2S)$  peaks, we can estimate the number of reconstructed charmonia

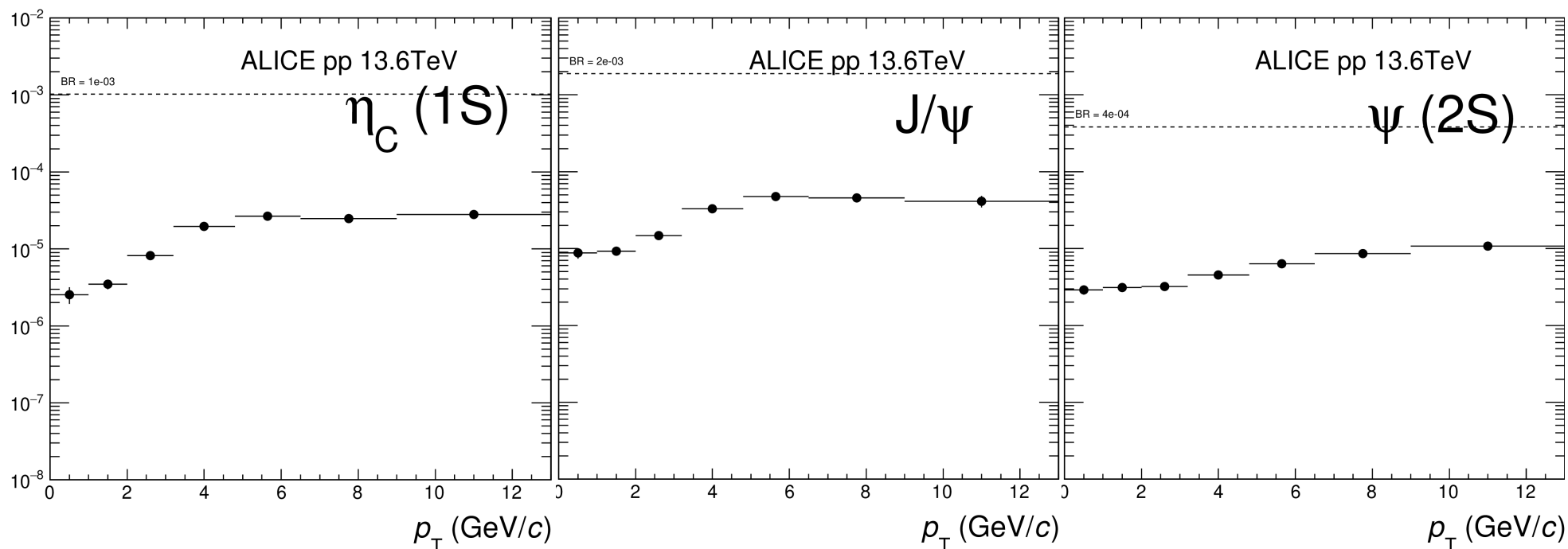
$$\epsilon(p_T) = \frac{N_{\text{reconstructed}}(p_T)}{N_{\text{generated}}(p_T)}$$

$\eta_c(1S) \rightarrow \Lambda\bar{\Lambda}$

$J/\psi \rightarrow \Lambda\bar{\Lambda}$

$\psi(2S) \rightarrow \Lambda\bar{\Lambda}$

Acceptance  $\times$  efficiency  $\times$  BR



**Avg eff \* BR =  $1.62 \times 10^{-5}$**

**$2.86 \times 10^{-5}$**

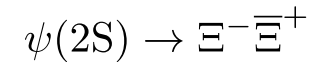
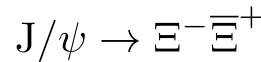
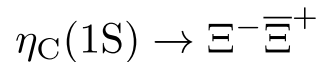
**$5.64 \times 10^{-6}$**

→ reconstruction in this decay channel is **extremely challenging**

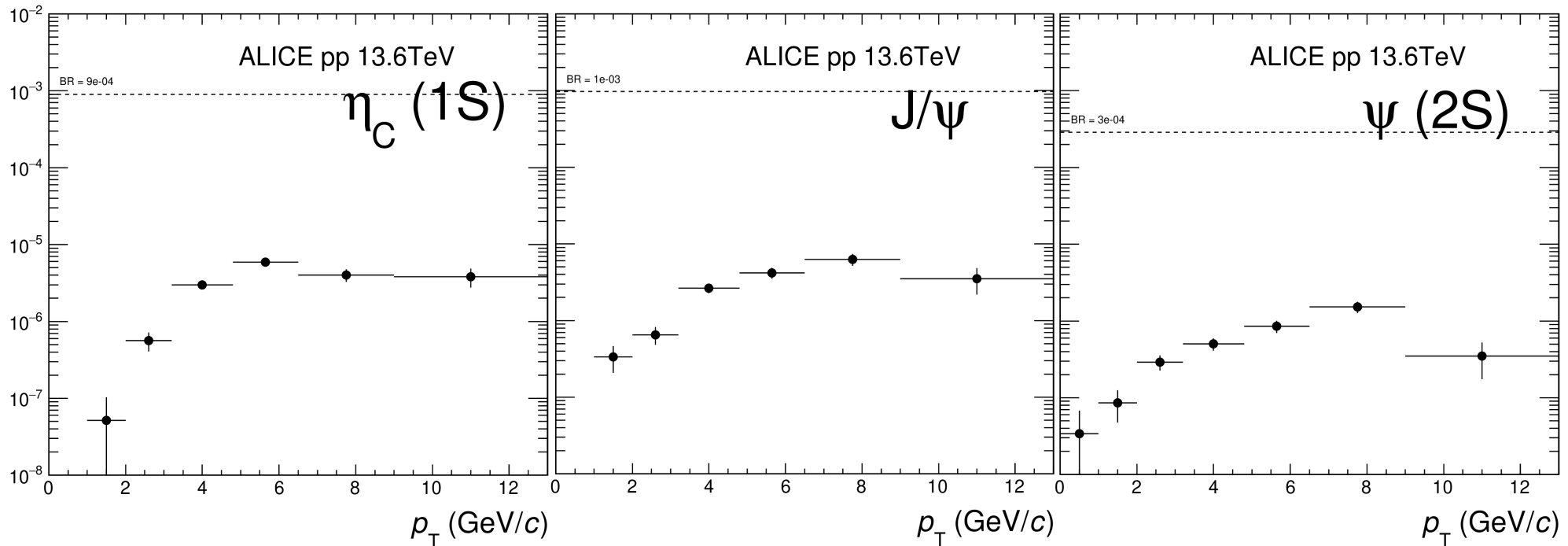
# Reconstruction efficiencies

From the  $\eta_c(1S)$ ,  $J/\psi$  and  $\psi(2S)$  peaks, we can estimate the number of reconstructed charmonia

$$\epsilon(p_T) = \frac{N_{\text{reconstructed}}(p_T)}{N_{\text{generated}}(p_T)}$$



Acceptance  $\times$  efficiency  $\times$  BR



**Avg eff \* BR =  $2.49 \times 10^{-6}$**

**$2.52 \times 10^{-6}$**

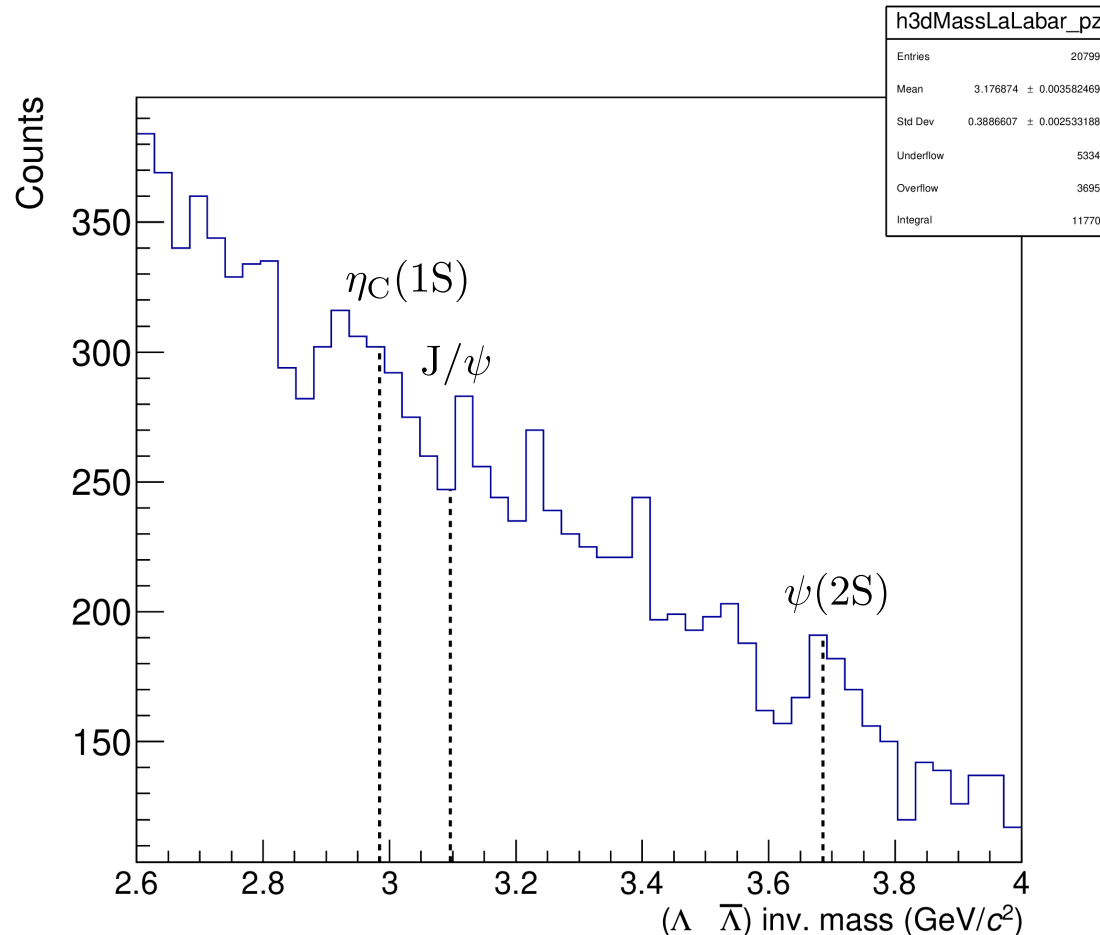
**$5.20 \times 10^{-7}$**

→ reconstruction in this decay channel is **extremely challenging**

# $\Lambda\bar{\Lambda}$ invariant mass in real data

Let's run over real data and see what we get!

→ invariant mass distribution of  $\Lambda\bar{\Lambda}$  pairs **in data** (0.002 % of all 2023 thinned)



No peak is visible in real data

**BUT** it allows to estimate the level of background under the peak

$$B [\eta_c(1S) \rightarrow \Lambda\bar{\Lambda}] = 1\,175 \pm 35$$

$$B [J/\psi \rightarrow \Lambda\bar{\Lambda}] = 530 \pm 123$$

$$B [\psi(2S) \rightarrow \Lambda\bar{\Lambda}] = 373 \pm 20 (*)$$

Note that this is only in 0.002% of 2023 thinned pp data

Over the full data sample, the uncertainties on the background varies between 3 900 and 6 800

(\*): background estimated in a region of  $[\mu \pm \sigma]$ , with  $\mu$  = mean of the inv. mass peak in MC,  $\sigma$  = width of the inv. mass peak in MC

# Is the measurement doable?

Based on what was shown, we can estimate the expected number of reconstructed  $\eta_c(1S)$ ,  $J/\psi$ ,  $\psi(2S)$  in the hyperon-antihyperon decay channel

$$N_{\text{expected}} = \mathcal{L}\sigma \times A \times \epsilon \times \text{B.R.}$$

$$\mathcal{L}\sigma = \left. \frac{dN}{dy} \right|_{y < 0.5} \times N_{\text{expected events}}^{\text{tot.}}$$

Estimated from Pythia 8 Monash simulations (thanks David!) 652 x 10<sup>9</sup> events over the whole 2023 thinned pp

$$\eta_c(1S) \rightarrow 4.67 \times 10^{-5}$$

$$J/\psi \rightarrow 2.25 \times 10^{-5}$$

$$\psi(2S) \rightarrow 3.03 \times 10^{-5}$$

Estimated on average over  $p_T$

**See slide 9 and 10**

$$\left\{ \begin{array}{l} N_{\text{expected}}(\eta_c(1S) \rightarrow \Lambda\bar{\Lambda}) = 494 \text{ events} \\ N_{\text{expected}}(J/\psi \rightarrow \Lambda\bar{\Lambda}) = 420 \text{ events} \\ N_{\text{expected}}(\psi(2S) \rightarrow \Lambda\bar{\Lambda}) = 112 \text{ events} \end{array} \right.$$

$$\left\{ \begin{array}{l} N_{\text{expected}}(\eta_c(1S) \rightarrow \Xi^-\bar{\Xi}^+) = 76 \text{ events} \\ N_{\text{expected}}(J/\psi \rightarrow \Xi^-\bar{\Xi}^+) = 37 \text{ events} \\ N_{\text{expected}}(\psi(2S) \rightarrow \Xi^-\bar{\Xi}^+) = 11 \text{ events} \end{array} \right.$$

Coupled to the overwhelming background in real data, such measurement becomes difficult (at least, with the current approach)

# Conclusion

Such measurements turn out to be rather difficult in pp collisions at 13.6 TeV

$$\left\{ \begin{array}{l} \eta_C(1S) \rightarrow \Lambda \bar{\Lambda} \quad (\text{B.R. } 1.02 \times 10^{-3}) \\ J/\psi \rightarrow \Lambda \bar{\Lambda} \quad (\text{B.R. } 1.89 \times 10^{-3}) \\ \psi(2S) \rightarrow \Lambda \bar{\Lambda} \quad (\text{B.R. } 3.81 \times 10^{-4}) \end{array} \right. \quad \left\{ \begin{array}{l} \eta_C(1S) \rightarrow \Xi^- \bar{\Xi}^+ \quad (\text{B.R. } 9.0 \times 10^{-4}) \\ J/\psi \rightarrow \Xi^- \bar{\Xi}^+ \quad (\text{B.R. } 9.7 \times 10^{-4}) \\ \psi(2S) \rightarrow \Xi^- \bar{\Xi}^+ \quad (\text{B.R. } 2.87 \times 10^{-4}) \end{array} \right.$$

→ **Reconstruction efficiencies are very small**, the combinatorial background level is high  
the production cross sections are low

## Open questions:

- Could we perform it in another system, such as ultra-peripheral collisions?
  - **pros:** offers a cleaner environment, reduced combinatorial background
  - **cons:** different physics case
- Luminosity in pp collisions in 2024 is 4-5 times bigger than in 2023
  - **pros:** much more statistics + usage of  $\Xi\Xi$  offline trigger
  - **cons:** need to rely on to the  $\Xi^- \bar{\Xi}^+$  decay channel → smaller efficiencies

**Backup slides**

# Is the measurement doable?

Based on what was shown, we can estimate the expected number of reconstructed  $\eta_c(1S)$ ,  $J/\psi$ ,  $\psi(2S)$  in the hyperon-antihyperon decay channel

$$N_{\text{expected}} = \mathcal{L}\sigma \times A \times \epsilon \times \text{B.R.}$$

$\mathcal{L}$	$\sigma$
$= 8.31 \text{ pb}^{-1}$ from <a href="#">here</a>	From measurements in pp at 13 TeV
	$\eta_c(1S) \rightarrow 1.26 \text{ } \mu\text{b}$ from <a href="#">LHCb</a>
	$J/\psi \rightarrow 8.97 \text{ } \mu\text{b}$ from <a href="#">ALICE</a>
	$\psi(2S) \rightarrow 63.3 \text{ nb}$ from <a href="#">ATLAS</a>

Estimated on average over  $p_T$

**See slide 9 and 10**

$$\left\{ \begin{array}{l} N_{\text{expected}} (\eta_c(1S) \rightarrow \Lambda\bar{\Lambda}) = 170 \text{ events} \\ N_{\text{expected}} (J/\psi \rightarrow \Lambda\bar{\Lambda}) = 2132 \text{ events} \\ N_{\text{expected}} (\psi(2S) \rightarrow \Lambda\bar{\Lambda}) = 3 \text{ events} \end{array} \right.$$
  
$$\left\{ \begin{array}{l} N_{\text{expected}} (\eta_c(1S) \rightarrow \Xi^-\bar{\Xi}^+) = 27 \text{ events} \\ N_{\text{expected}} (J/\psi \rightarrow \Xi^-\bar{\Xi}^+) = 188 \text{ events} \\ N_{\text{expected}} (\psi(2S) \rightarrow \Xi^-\bar{\Xi}^+) = 0.27 \text{ events} \end{array} \right.$$

Coupled to the overwhelming background in real data, such measurement becomes difficult (at least, with the current approach)

# Reconstruction efficiencies

From the  $\eta_c(1S)$ ,  $J/\psi$  and  $\psi(2S)$  peaks, we can estimate the number of reconstructed charmonia

$$\rightarrow \epsilon(p_T) = \frac{N_{\text{reconstructed}}(p_T)}{N_{\text{generated}}(p_T)}$$

$\eta_c(1S)/J/\psi/\psi(2S) \rightarrow \Lambda\bar{\Lambda}$

$\eta_c(1S)/J/\psi/\psi(2S) \rightarrow \Xi^-\bar{\Xi}^+$

