

3D pion HBT correlations and their Lévy parameters in $\sqrt{s_{NN}} = 200$ GeV Au+Au collisions at STAR

Sneha Bhosale for the STAR collaboration

Eötvös University, Budapest



ZIMÁNYI SCHOOL 2024

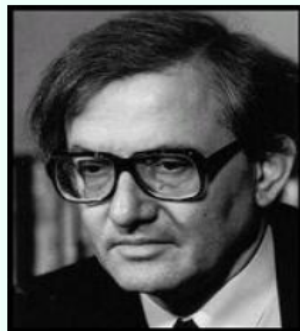


L. Kassák: Image architecture

**24th ZIMÁNYI SCHOOL
WINTER WORKSHOP
ON HEAVY ION PHYSICS**

December 2-6, 2024

Budapest, Hungary



József Zimányi (1931 - 2006)

STAR

Partially funded by:



U.S. DEPARTMENT OF
ENERGY

Office of
Science

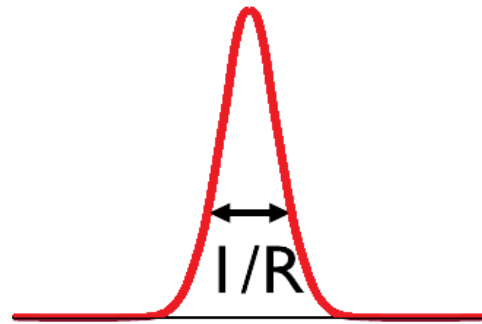
Outline:

- **Introduction** Lévy-stable distribution: could provide a more accurate source description, incorporates a power-law tail, deviates from standard Gaussian framework
- Motivation
- Analysis
- Results
- Summary and conclusions



Introduction:

- Technique used to study the space-time evolution of particle-emitting sources in heavy-ion collisions
 - R. Hanbury Brown and R. Q. Twiss *Nature* 178 (1956)
- Intensity correlations as a function of detector distance
- Measuring size of otherwise apparently point-like sources
- Goldhaber, Goldhaber, Lee and Pais: applicable in high energy physics
 - Goldhaber, Goldhaber, Lee and Pais [Phys.Rev.Lett.3 \(1959\) 181](#)
- Resolving the femtometer scale size and structure of particle emission from QGP



Corr. funct. $C(q) = 1 + |\tilde{S}(Q)|^2$



Momentum correlation $C(q)$, $q = |p_1 - p_2|$, is related to the source $S(r) \rightarrow C(q) = 1 + |\tilde{S}(Q)|^2$

Outline:

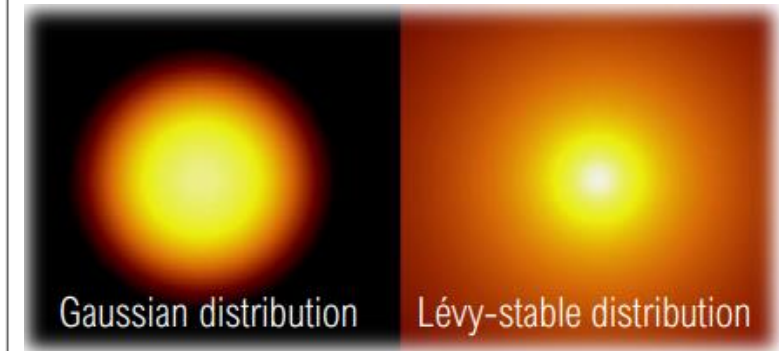
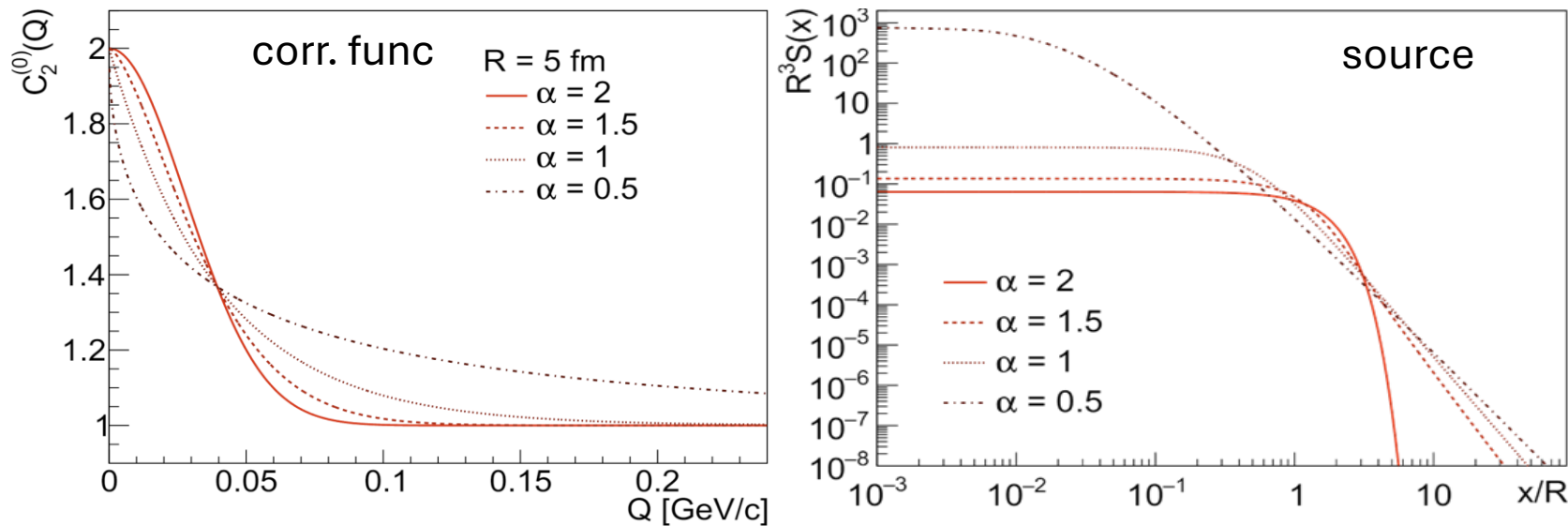
- Introduction
- **Motivation** HBT analyses with Lévy sources have been done in 1D so far, developing this to 3D is important:
 - check if deviation from Gaussian in 1D is because of directional avg.
 - provides a more complete picture of the source geometry
 - allows for comparison with 1D results to check its consistency
- Analysis
- Results
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Lévy distributions in femtoscopy:

- Femtoscopic correlation functions often assume Gaussian sources
- Lévy-stable distributions: more flexible approach to characterize shape and size

Csörgő, Hegyi, Zajc, Eur.Phys.J. C36 (2004) 67-78



- Lévy seen in both data (correlation functions and imaging) and simulations (EPOS, UrQMD)
 - See talks by D. Kincses, E. Árpási, L. Kovács
- Lévy-exponent α extracted from SPS through RHIC to LHC in 1D analyses
 - See talks by B. Pórfy and S. Lökös

Motivation and interpretation:

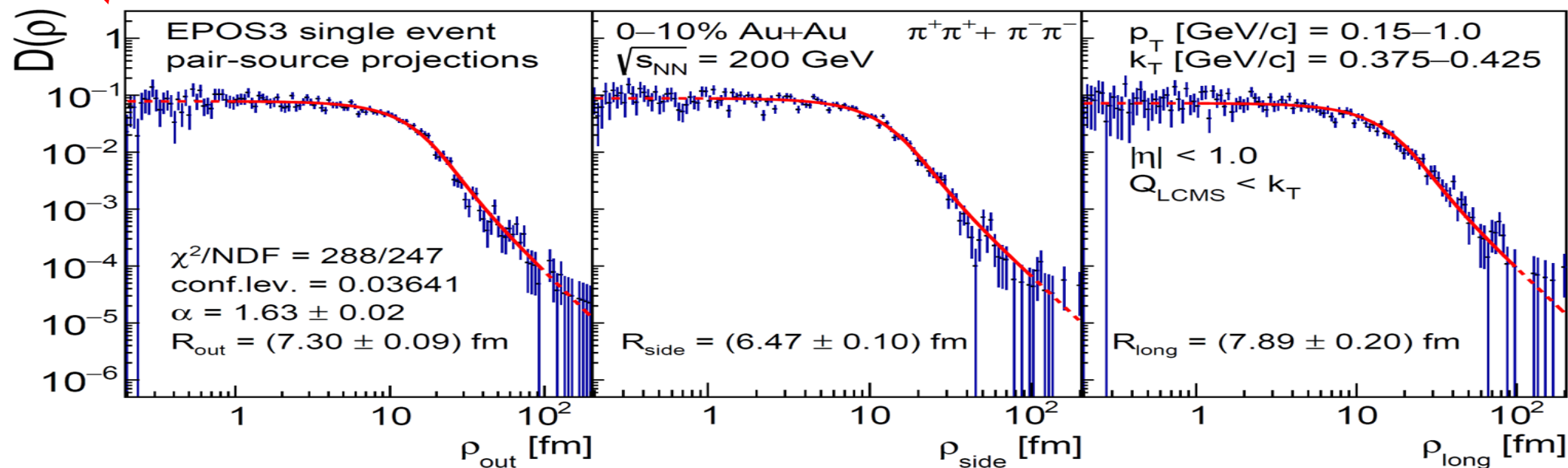
- Possible interpretations of the non-Gaussian, $a < 2$ Lévy exponent:

- Jet fragmentation *Csörgő, Hegyi, Novák, Zajc, Acta Phys.Polon. B36*
- Critical behavior *Csörgő, Hegyi, Novák, Zajc, AIP Conf.Proc. 828*
- Event averaging *Cimerman, Tomasik, Plumberg, Phys.Part.Nucl. 51 (2020) 3, 282*
- **Resonance decays** *Kórodi, Kincses, Csanád, Phys.Lett.B 847 (2023) 138295*
- **Hadronic scattering** *Csanád, Csörgő, Nagy, Braz.J.Phys. 37 (2007) 1002 & arXiv:2409.10373*

Hadronic scattering
(see talk by D. Kincses)

Important at 200 GeV, EPOS+UrQMD includes these, source function investigated in 3D

[arXiv:2409.10373](https://arxiv.org/abs/2409.10373)



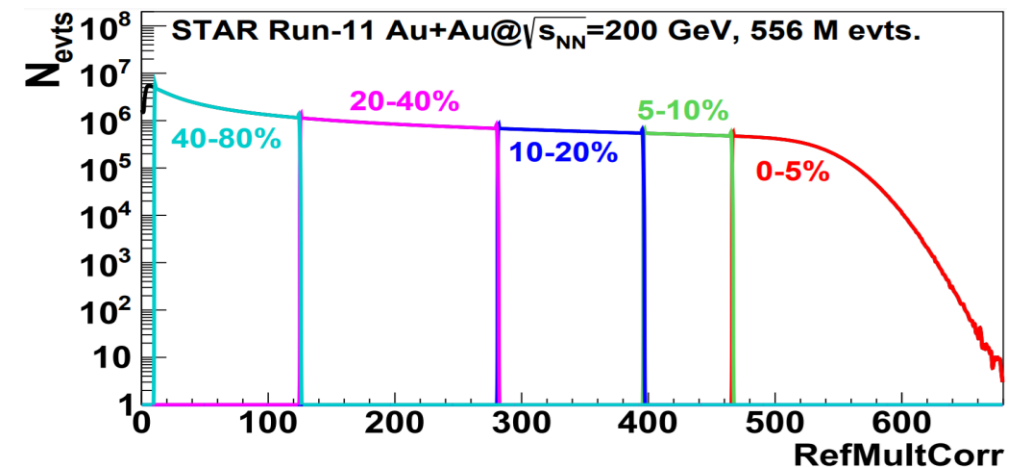
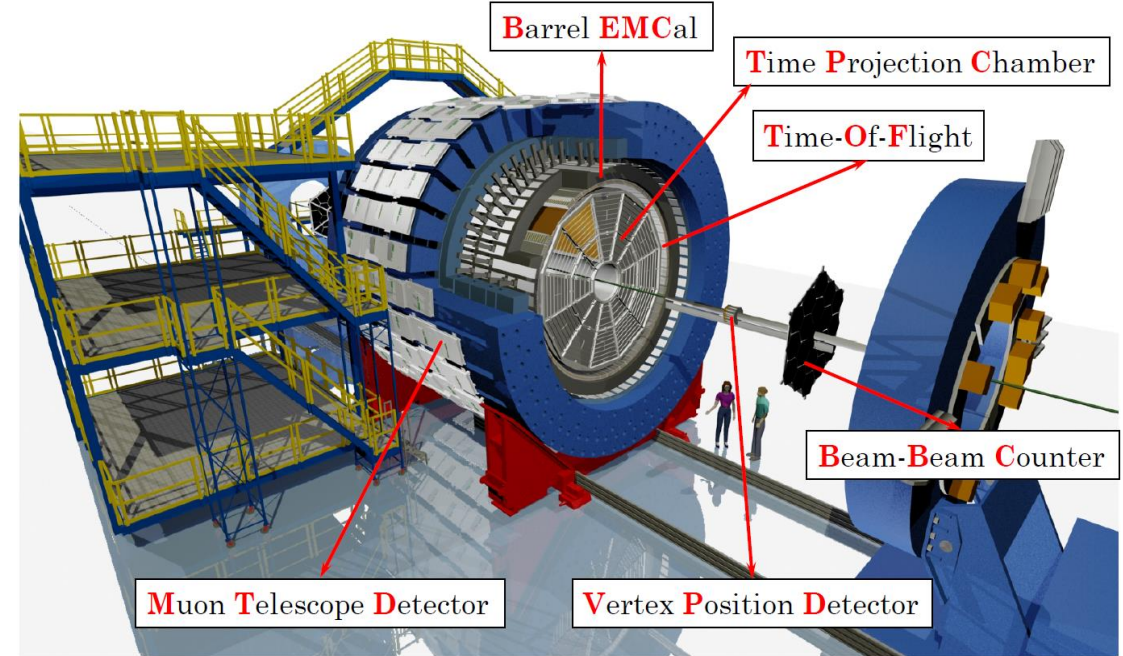
Outline:

- Introduction
- Motivation
- **Analysis** Experimental selection criteria detailed, same as previous 1D analysis
- Results
- Summary and conclusions



Lévy HBT analysis at STAR, Au+Au @ 200 GeV:

- **STAR Run-11 data analyzed**
After trigger cuts and bad run cuts: **556M events**
- **Detectors used for the analysis:**
 - **BBC, TPC, VPD:** centrality, vertex position
 - **TPC:** tracking, dE/dx Particle Identification (PID)
 - **TOF:** time-of-flight PID
- **Event selection:**
 - Vertex cuts: $|v_z^{TPC} - v_z^{vpd}| < 3 \text{ cm}$; $|v_r^{TPC}| < 2 \text{ cm}$;
 $|v_z^{TPC}| < 25$; $|v_z^{vpd}| < 25$
 - **Pile-up removal using TOF vs. TPC multiplicity**
 - **Centrality selection: 0-10%**



Lévy HBT analysis at STAR, Au+Au @ 200 GeV:

- **Track selection criteria:**

- Combined PID using TPC $N\sigma$ (based on dE/dx) and TOF $N\sigma$ (based on time-of-flight)

$$\text{combined PID: } \sqrt{N\sigma_{TOF,\pi}^2 + N\sigma_{TPC,\pi}^2} < 2.5$$

$$\text{If no TOF info, TPC PID: } N\sigma_{TPC,\pi} < 2$$

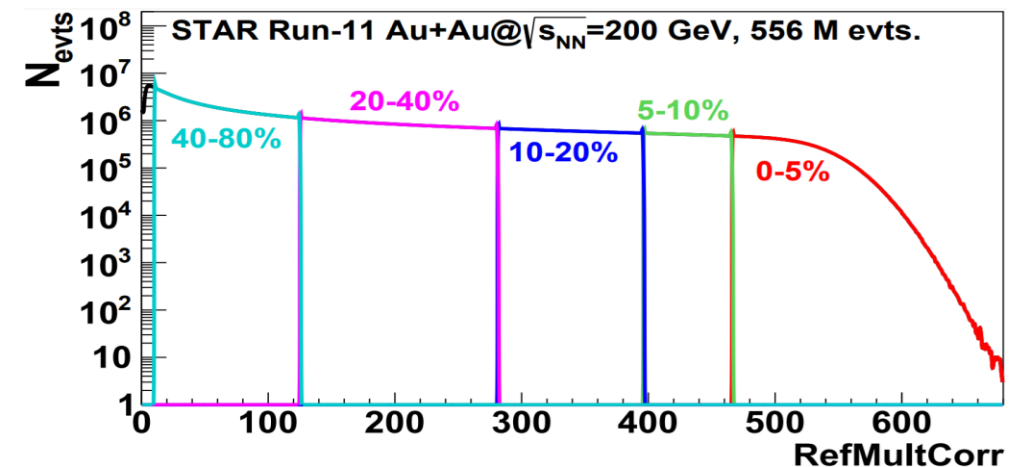
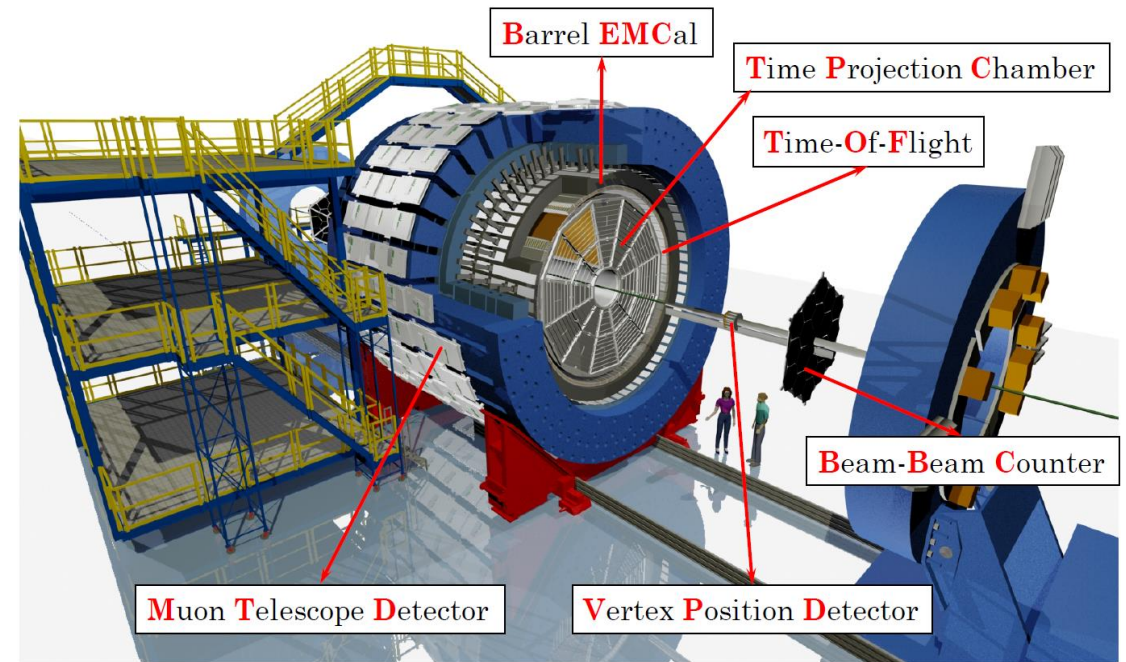
$$N\sigma_{TPC,K,p,e} > 2$$

- Momentum selection : $0.15 < p_T [\text{GeV}/c] < 1.0$
- Rapidity selection : $|\eta| < 0.75$
- TPC number of hits selection: $N_{\text{hitsfit}} > 20$
 $N_{\text{hitsfit}}/N_{\text{hitsposs}} > 0.55$
- Distance of Closest Approach selection : $\text{DCA} < 2 \text{ cm}$

- **Pair selection criteria :**

- Splitting level (SL) < 0.6
- Fraction of Merged Hits (FMH) $< 5\%$
- Average pair-separation (on TPC pad rows) $\Delta r > 3 \text{ cm}$

J. Adams et al. (STAR Coll.),
Phys. Rev. C 71, 044906 (2005)



Fitting process:

A(q) - Pairs from same event

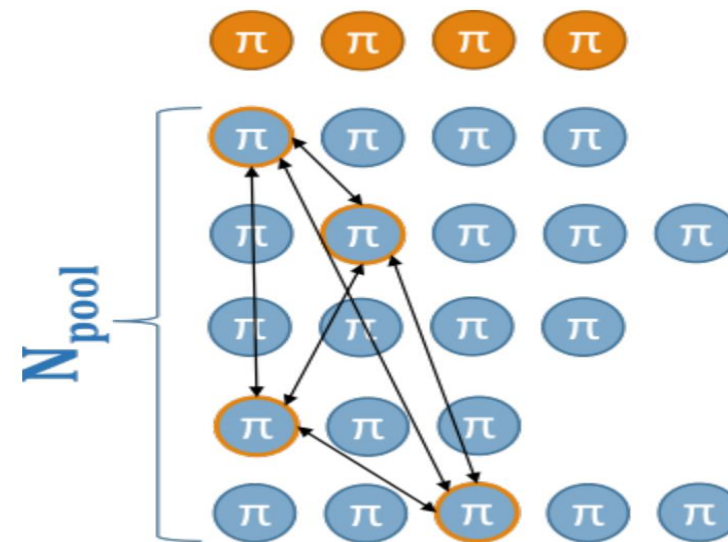
B(q) - Pairs from mixed events

C(q) - Correlation function, $C(q) = A(q)/B(q)$

→ Event mixing with 2 cm wide zvtx

→ Pair average momentum selection:

19 average transverse momentum k_T bins,
from (0.175 - 0.65) GeV/c



3D correlation function

Possible background

Correlation strength

Levy exponent

$$C_2(\mathbf{q}_{out}, \mathbf{q}_{side}, \mathbf{q}_{long}) = N(1 + \varepsilon_o|\mathbf{q}_o| + \varepsilon_s|\mathbf{q}_s| + \varepsilon_L|\mathbf{q}_L|) \left(1 - \lambda + \lambda \cdot K(\mathbf{q}_{inv}, \mathbf{R}_{inv}, \alpha) \cdot \left(1 + e^{-|\mathbf{q}_i \mathbf{R}_{ij}^2 \mathbf{q}_j|^{\alpha/2}} \right) \right)$$

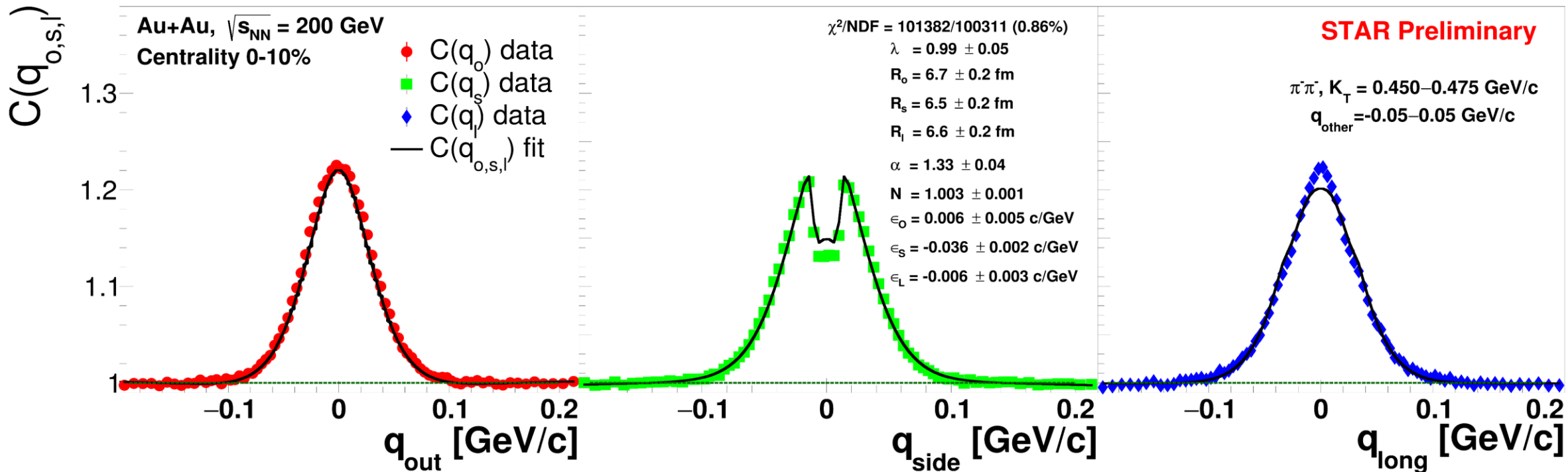
Coulomb correction with
 $R_{inv}(R_{out}, R_{side}, R_{long})$

→ Used fitting method, **Coulomb FSI + Lévy-source**

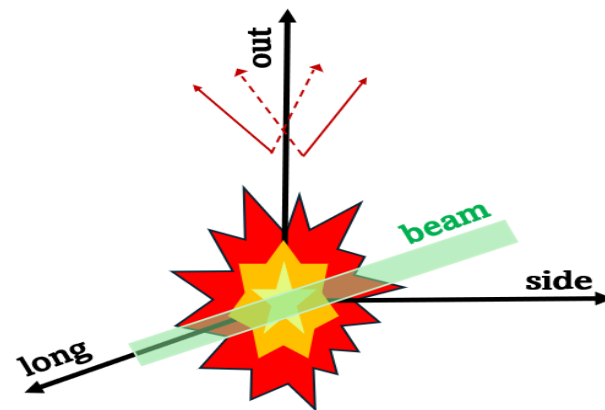
→ \mathbf{R}_{inv} calculated from \mathbf{R}_{out} , \mathbf{R}_{side} , \mathbf{R}_{long} ; iterative fitting, all parameters have to converge

→ ε_o , ε_s , ε_L : residual non-femtoscopic background; en-mom. conservation, resonance decays, bulk flow, minijets, etc

3D fit projections:



- 3D two-pion corr. functions
- Iterative self-consistent fitting method, Coulomb FSI + Lévy-source
 - Non-femtoscopic background ($\epsilon_{out}, \epsilon_{side}, \epsilon_{long}$): bulk flow, minijets, etc
- Fits converged and have conf.level acceptable in all cases
- Fit range studies included in systematic checks

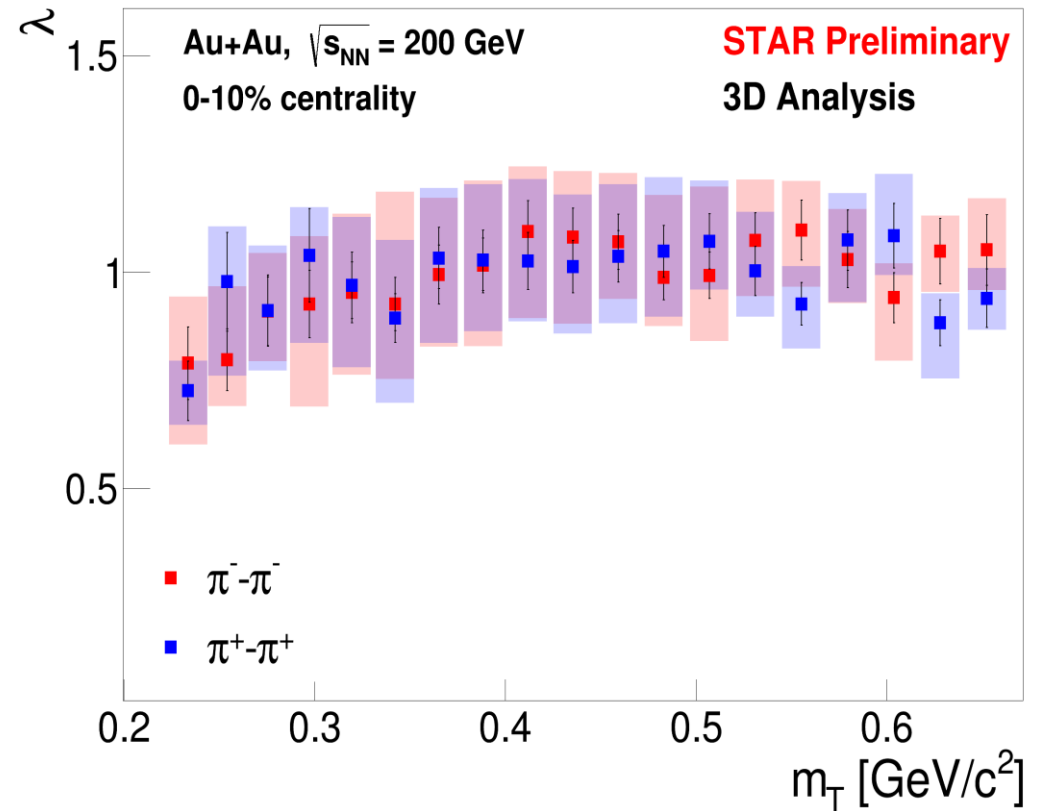
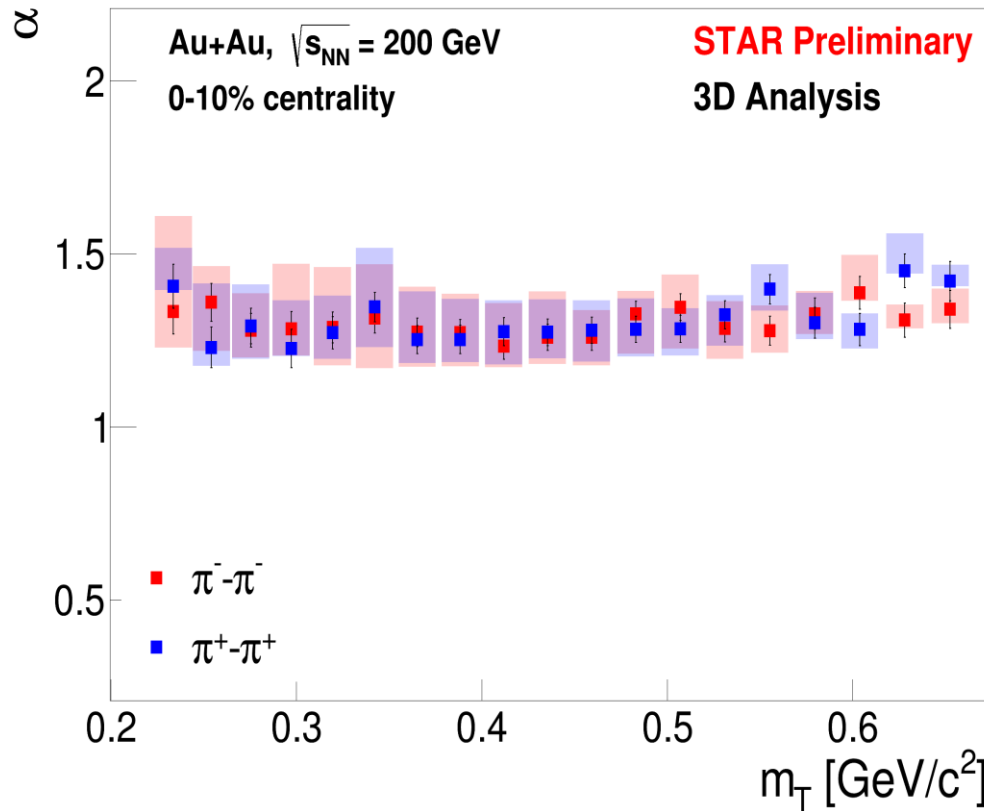


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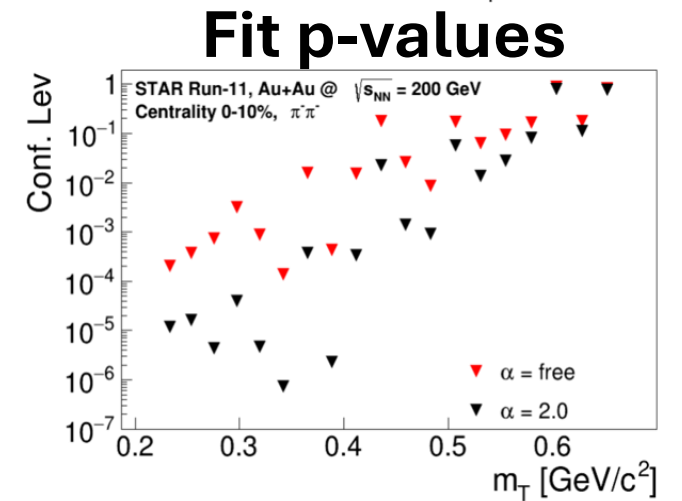
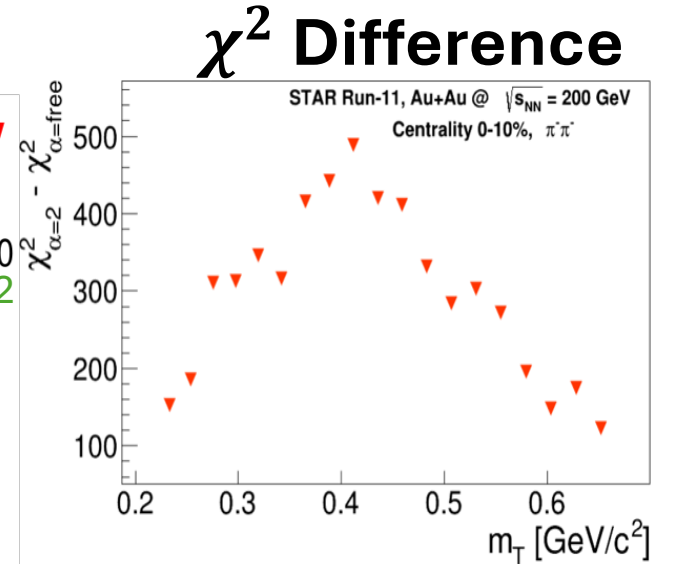
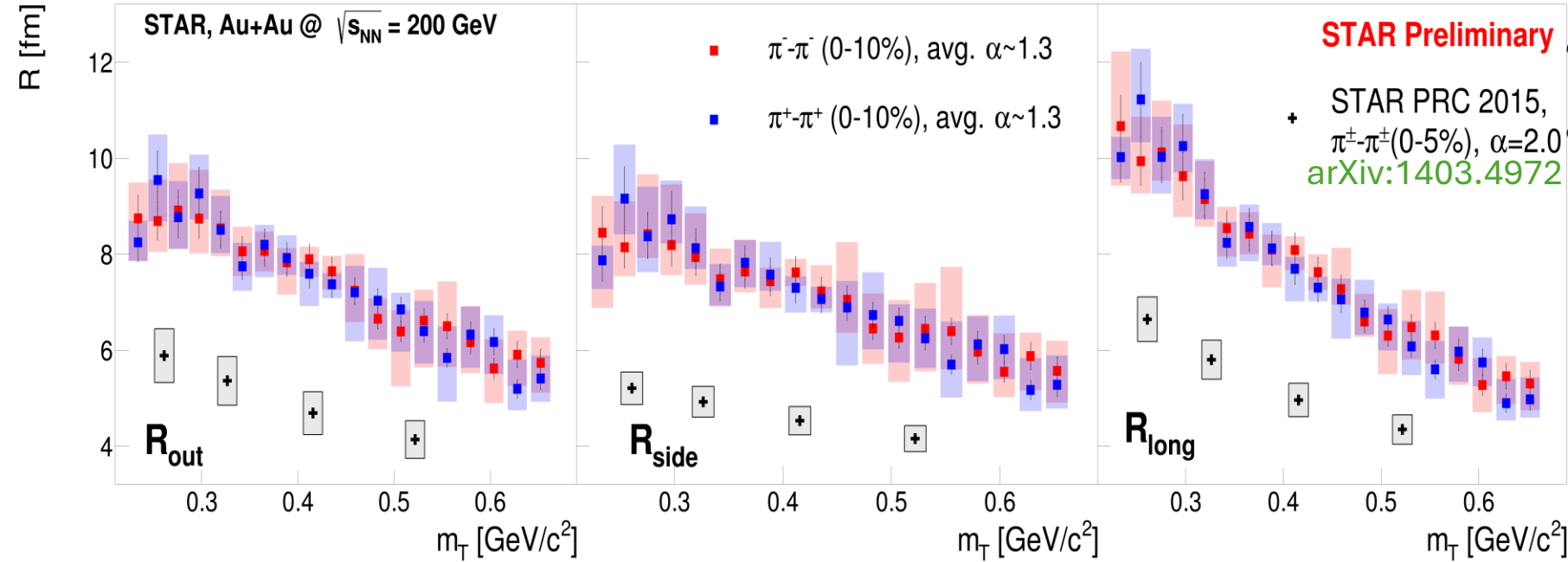


m_T dependence of α and λ :



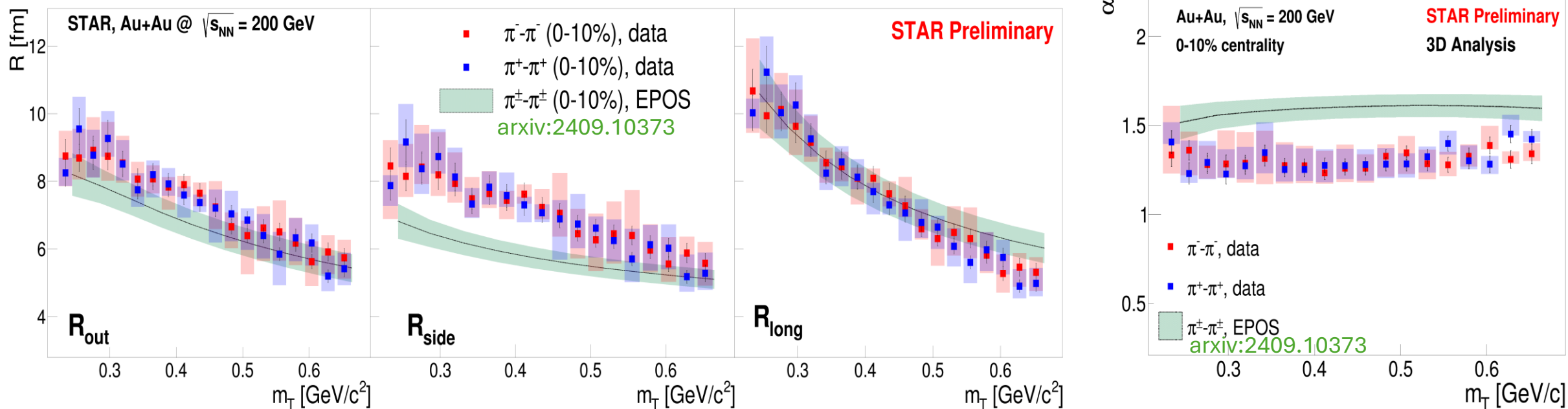
- **Lévy exponent α** : negligible dependence on m_T , average value ~ 1.3 ;
far from critical value (0.5), Cauchy (1.0) and Gauss (2.0).
- **Correlation strength λ** : small increase from low to high m_T .

m_T dependence of the source radii:



- **Lévy-scale R:** usual decreasing trend with m_T
- Free α fits reduce χ^2 by 200-500 units compared to Gaussian fits
- χ^2/NDF values within 1-1.04 for all fits
- Confidence levels (p-values) improve by 1-3 orders of magnitude with free α

Comparison to EPOS:



- **EPOS and data** (both from 3D analysis) comparison shows good agreement
- Small difference in side direction and in α .

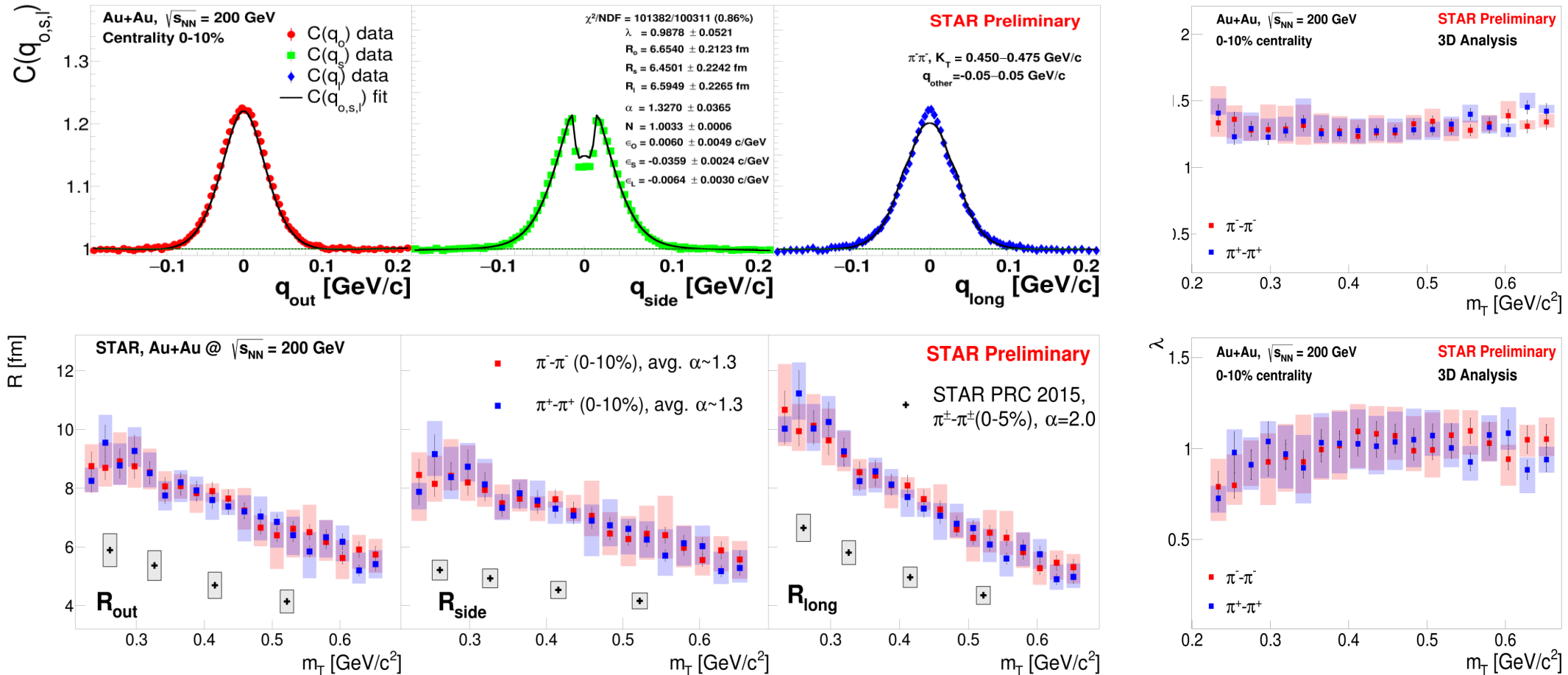
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Summary and conclusions:

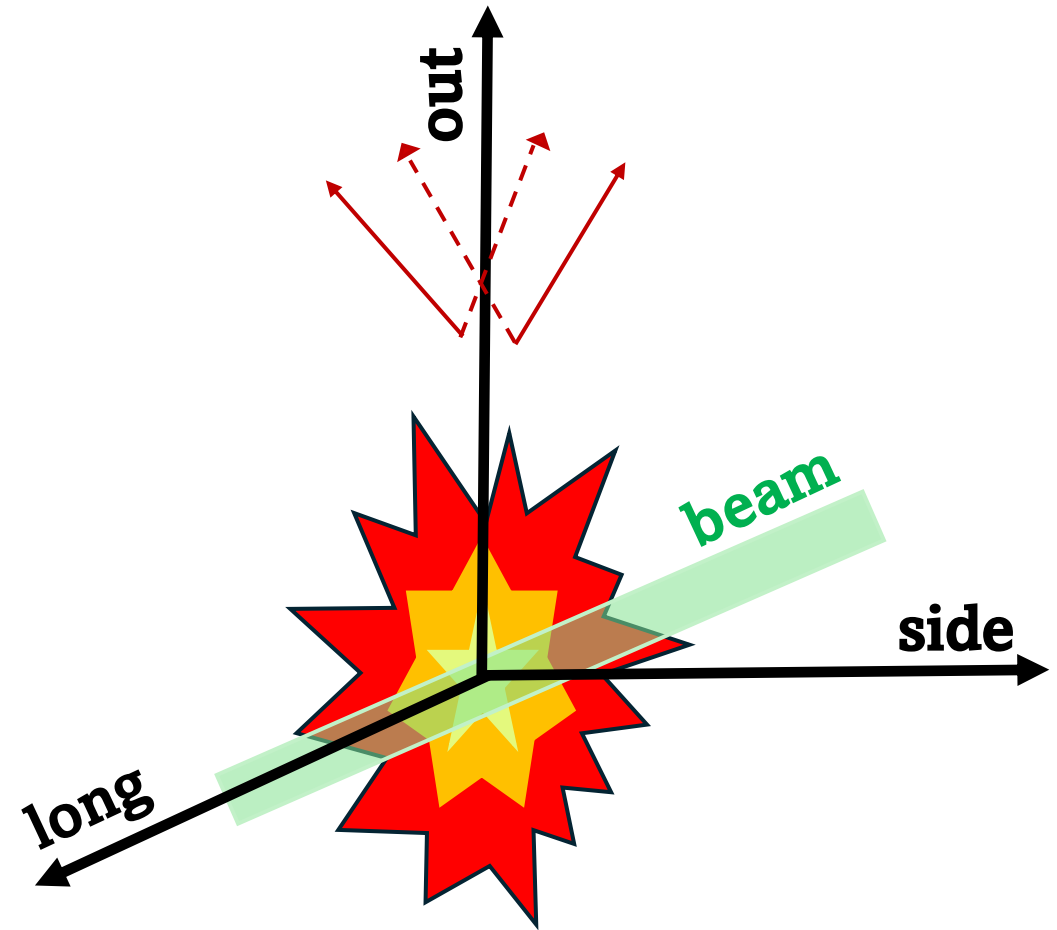
- Three-dimensional two-pion correlation functions investigated
- Fits with Lévy-source assumption + Coulomb FSI provide good description



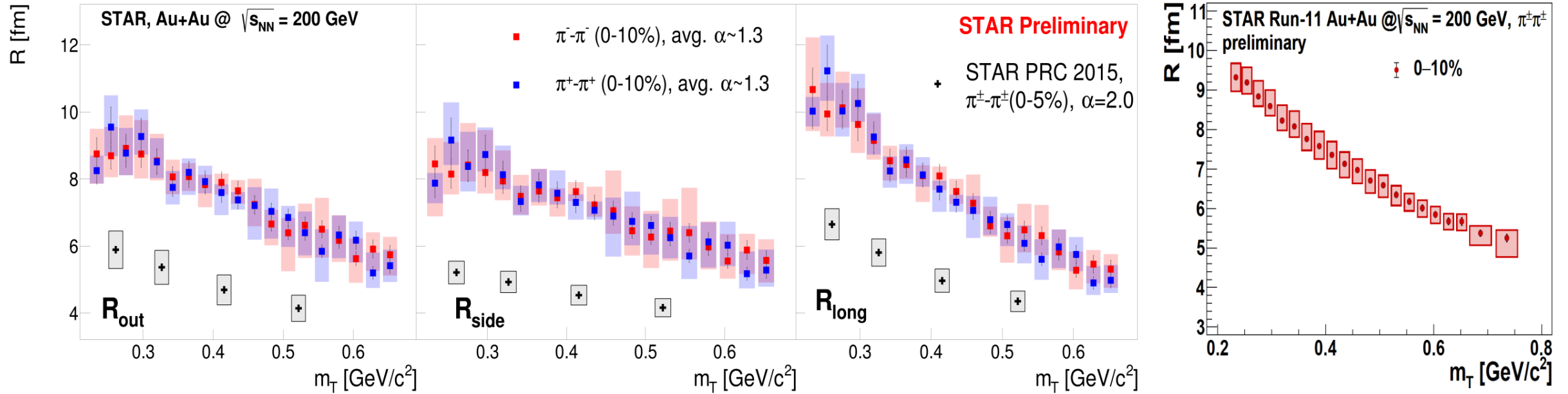
A night photograph of the Washington Monument Bridge over the Potomac River. The bridge's stone piers and suspension cables are illuminated, and their lights reflect on the water. In the background, the U.S. Capitol building is visible on a hillside, also lit up. The text "Thank you!" is overlaid in a bright green, bold font in the upper right corner.

Thank you!

Backup



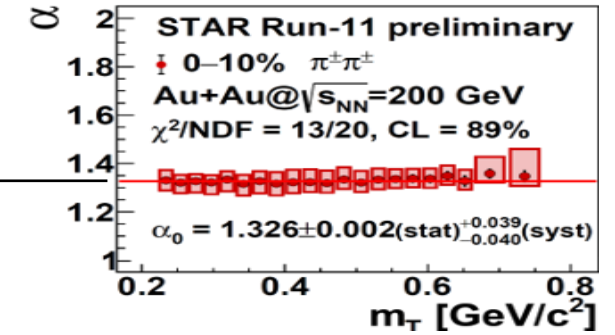
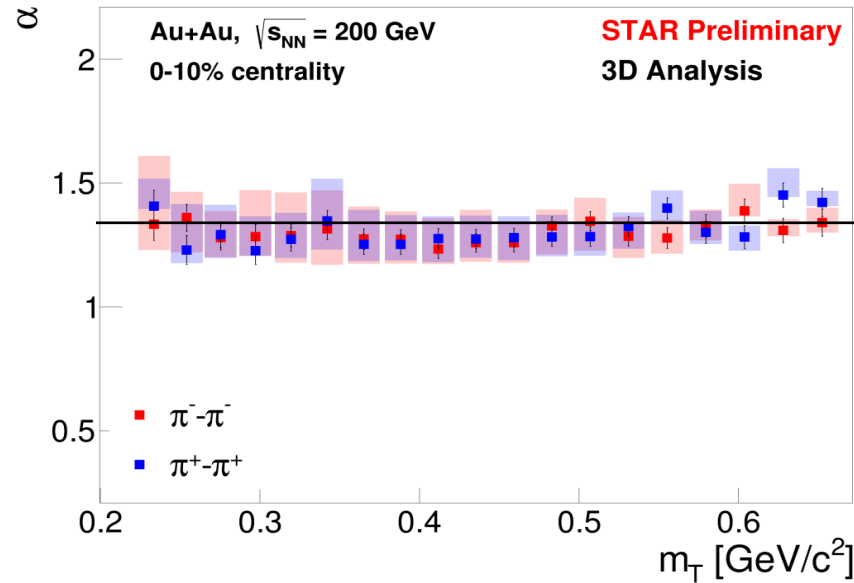
m_T dependence of the source parameters:



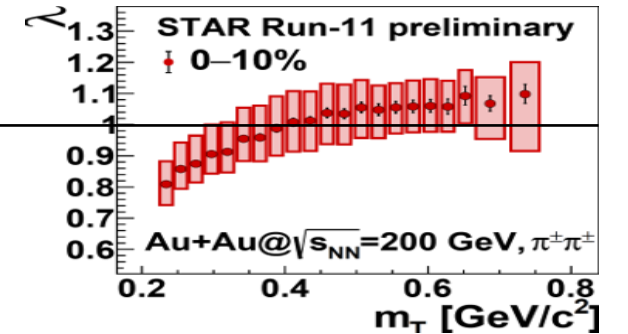
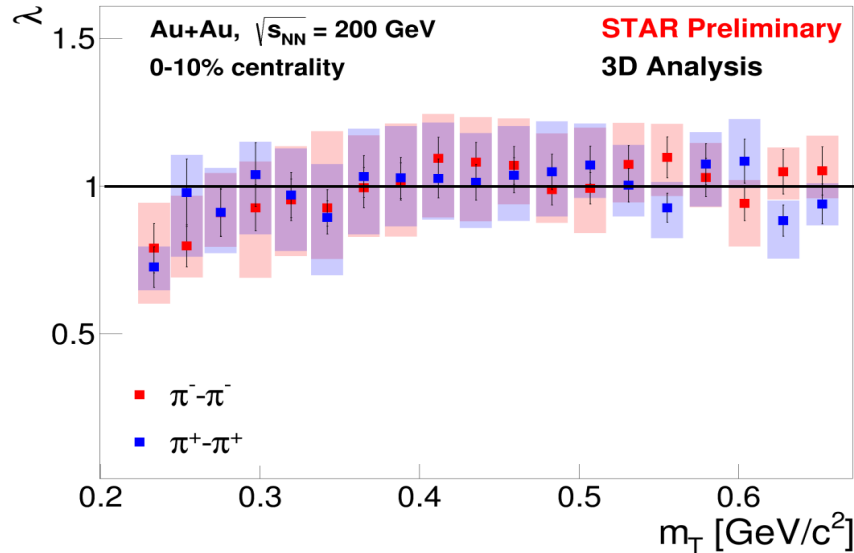
- **Lévy-scale R:** usual decreasing trend with m_T , both 1D and 3D confirms that.
- Free α fits reduce χ^2 by 200-500 units compared to Gaussian fits.
- Confidence levels improve by 1-3 orders of magnitude with free α .

m_T dependence of the source parameters:

- Lévy exponent α : negligible dependence on m_T , average value ~ 1.3
 \rightarrow far from critical value (0.5), Cauchy (1.0) and Gauss (2.0)



- **Correlation strength λ** : small increase from low to high m_T .



Coulomb correction:

3D correlation function

$$C_2(\mathbf{q}_{out}, \mathbf{q}_{side}, \mathbf{q}_{long}) = N(1 + \varepsilon_o|\mathbf{q}_o| + \varepsilon_s|\mathbf{q}_s| + \varepsilon_L|\mathbf{q}_L|) \left(1 - \lambda + \lambda \cdot K(\mathbf{q}_{inv}, R_{inv}, \alpha) \cdot \left(1 + e^{-|\mathbf{q}_i R_{ij}^2 \mathbf{q}_j|^{\alpha/2}} \right) \right)$$

Possible background
Correlation strength
Levy exponent

Coulomb correction with
 $R_{inv}(R_{out}, R_{side}, R_{long})$

$$q_{inv} = \sqrt{(1 - \beta_T^2)q_O^2 + q_S^2 + q_L^2}$$

$$R_{inv} = \sqrt{\frac{(1 - \beta_T^2)R_O^2 + R_S^2 + R_L^2}{3}}$$