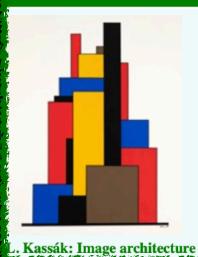
#### ZIMÁNYI SCHOOL 2024



24th ZIMÁNYI SCHOOL WINTER WORKSHOP ON HEAVY ION PHYSICS

December 2-6, 2024

**Budapest**, Hungary





#### STAR highlights with focus on BES results

#### Hanna Zbroszczyk for the STAR Collaboration

Warsaw University of Technology

e-mail: hanna.zbroszczyk@pw.edu.pl

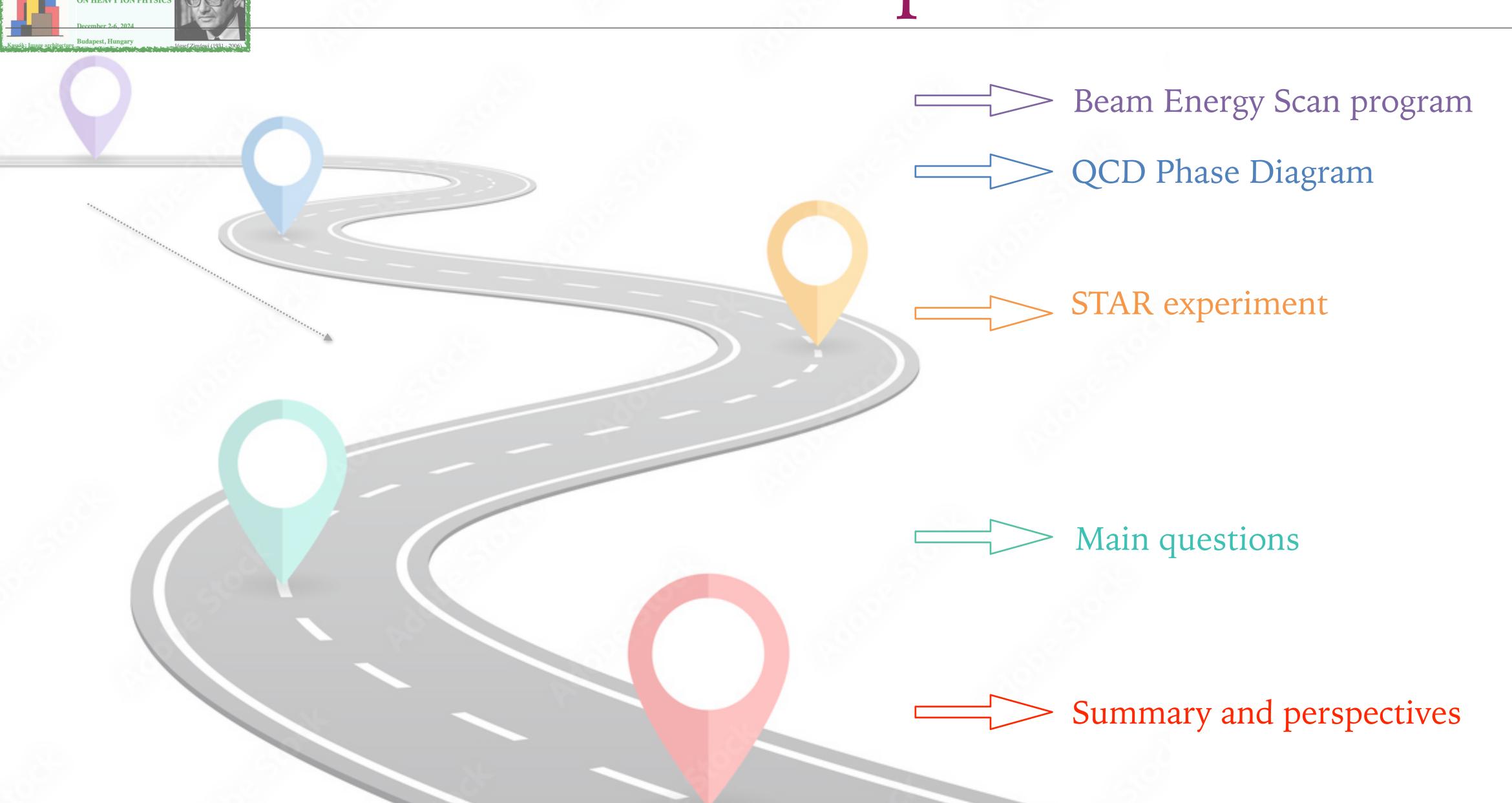






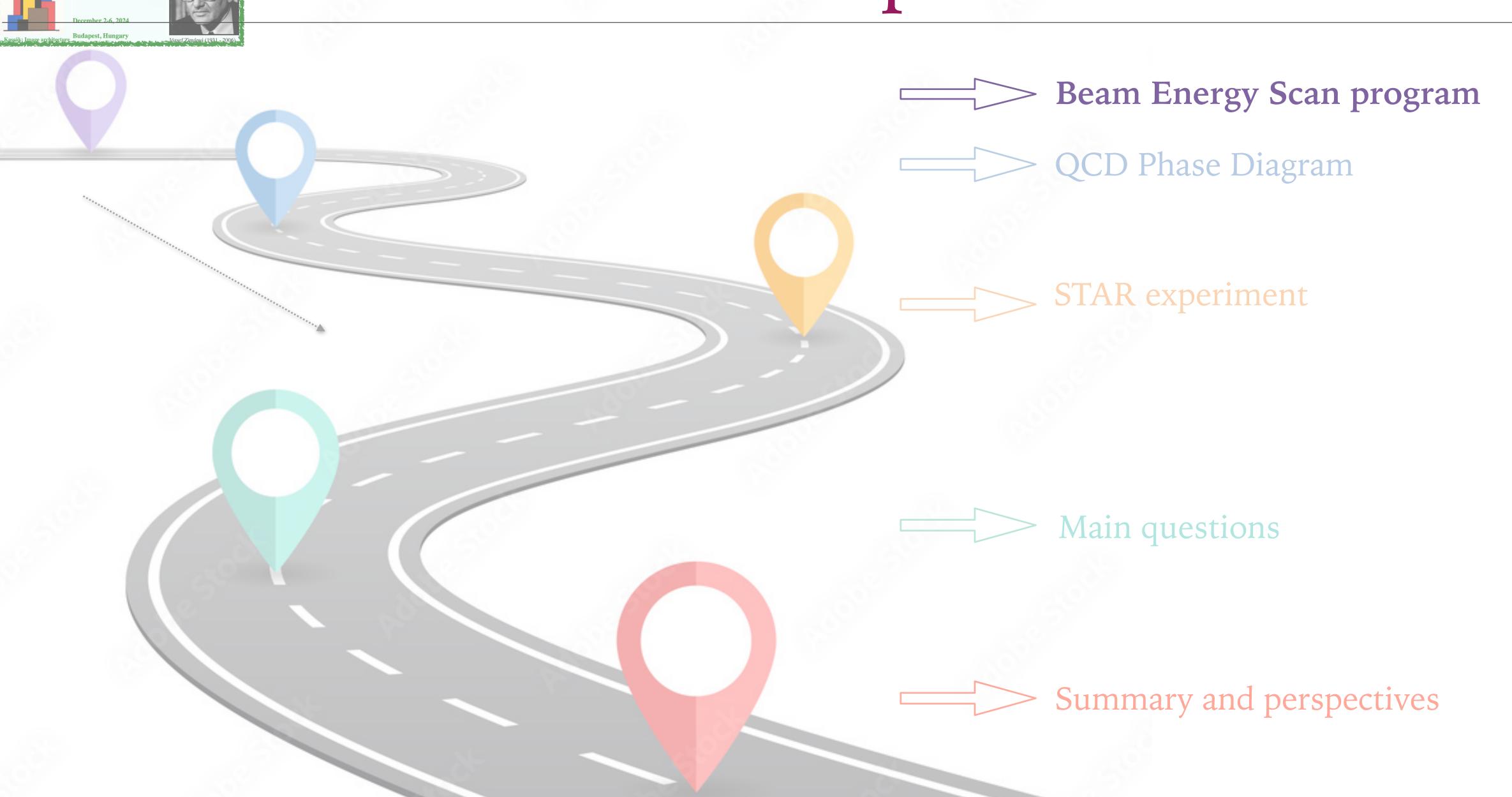


# Road map





# Road map

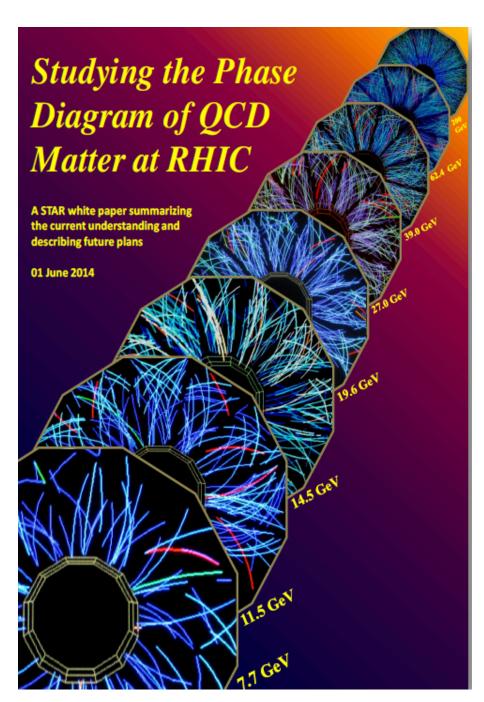


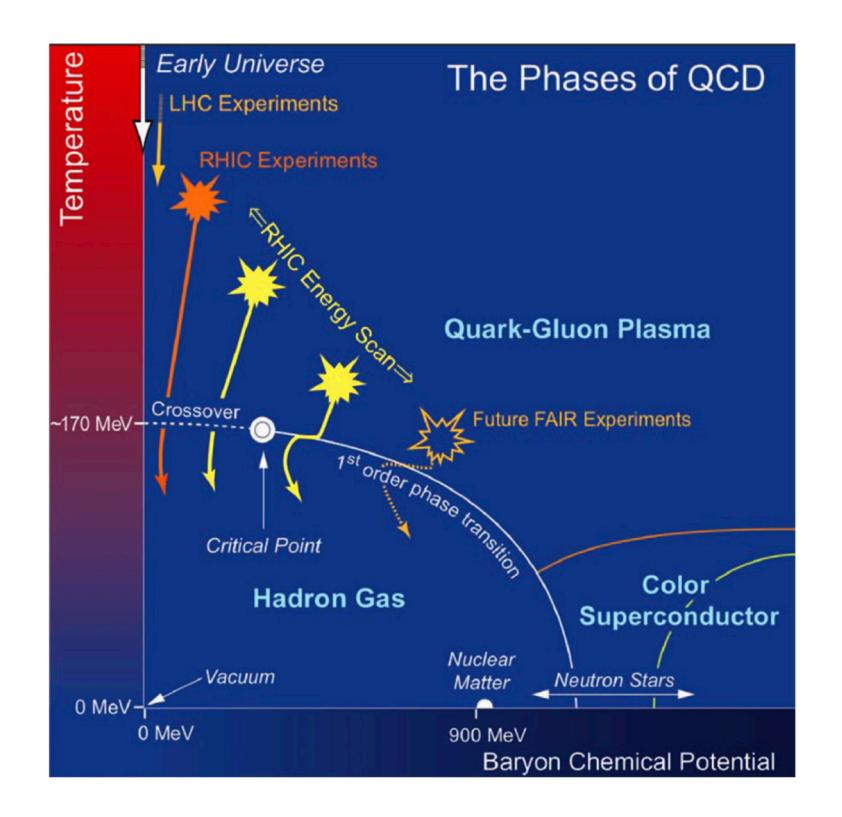


# Beam Energy Scan program

Goals of the Beam Energy Scan Program:

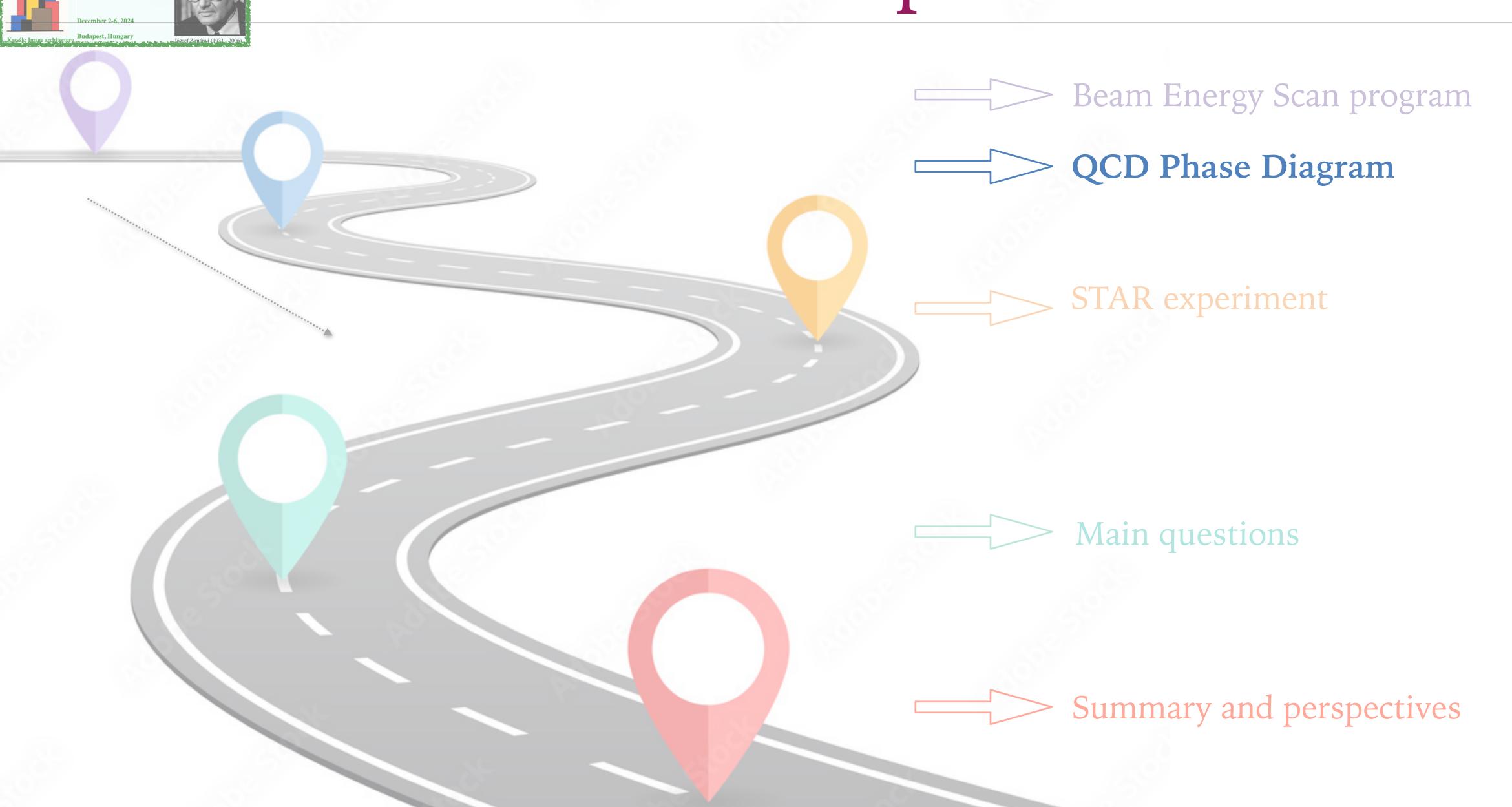
- 1. Search for turn-off of QGP signatures
  - 2. Search for signals of the first-order phase transition
    - 3. Search for QCD critical point







# Road map





# Probing QCD Phase Diagram

Heavy-ion collision used as a tool to probe QCD phase diagram

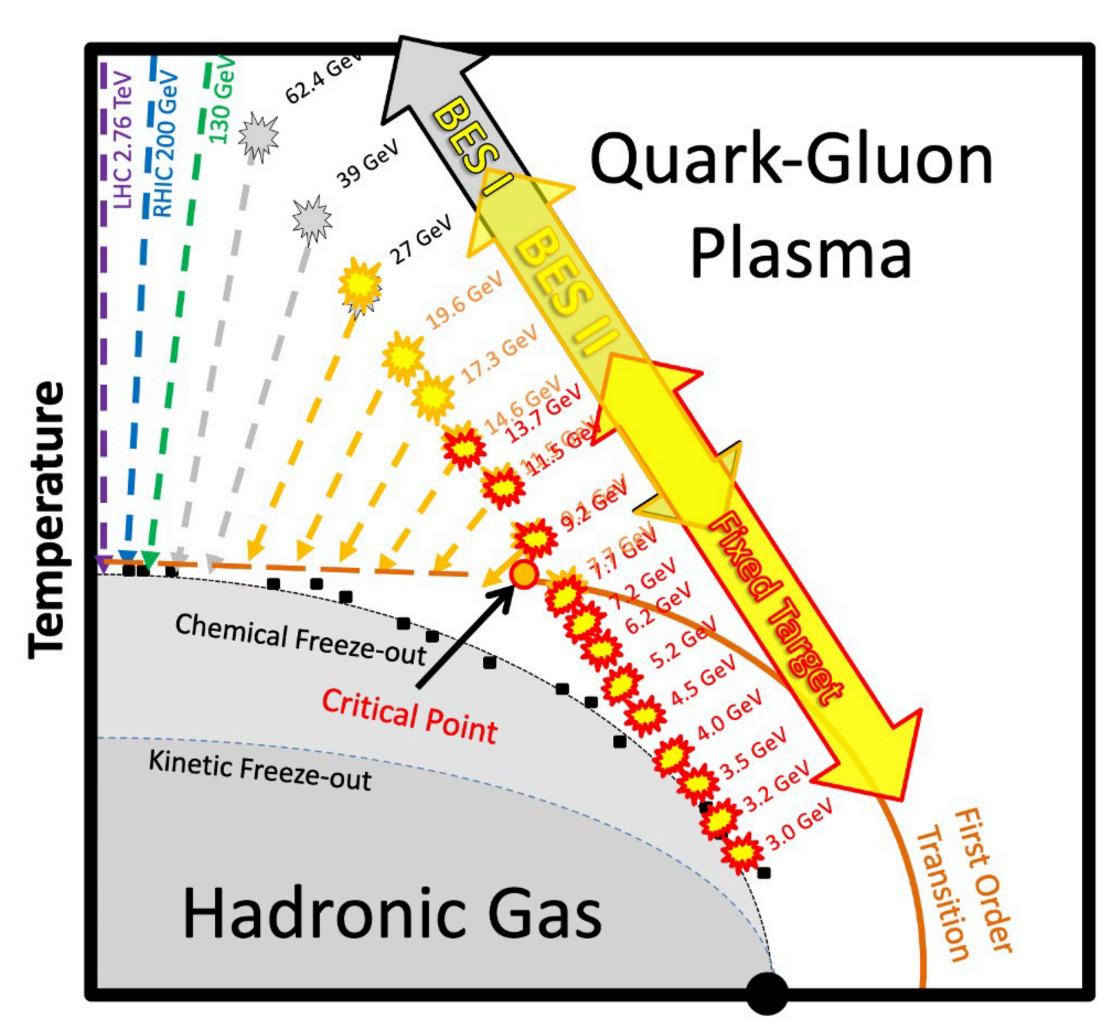
Believed to be understood:

Lattice QCD predicts a smooth **cross-over** transition at large T and  $\mu_B \sim 0$ 

Various models predict first-order phase transition at large  $\mu_B$ 

Critical point is believed to exist, but.. where?

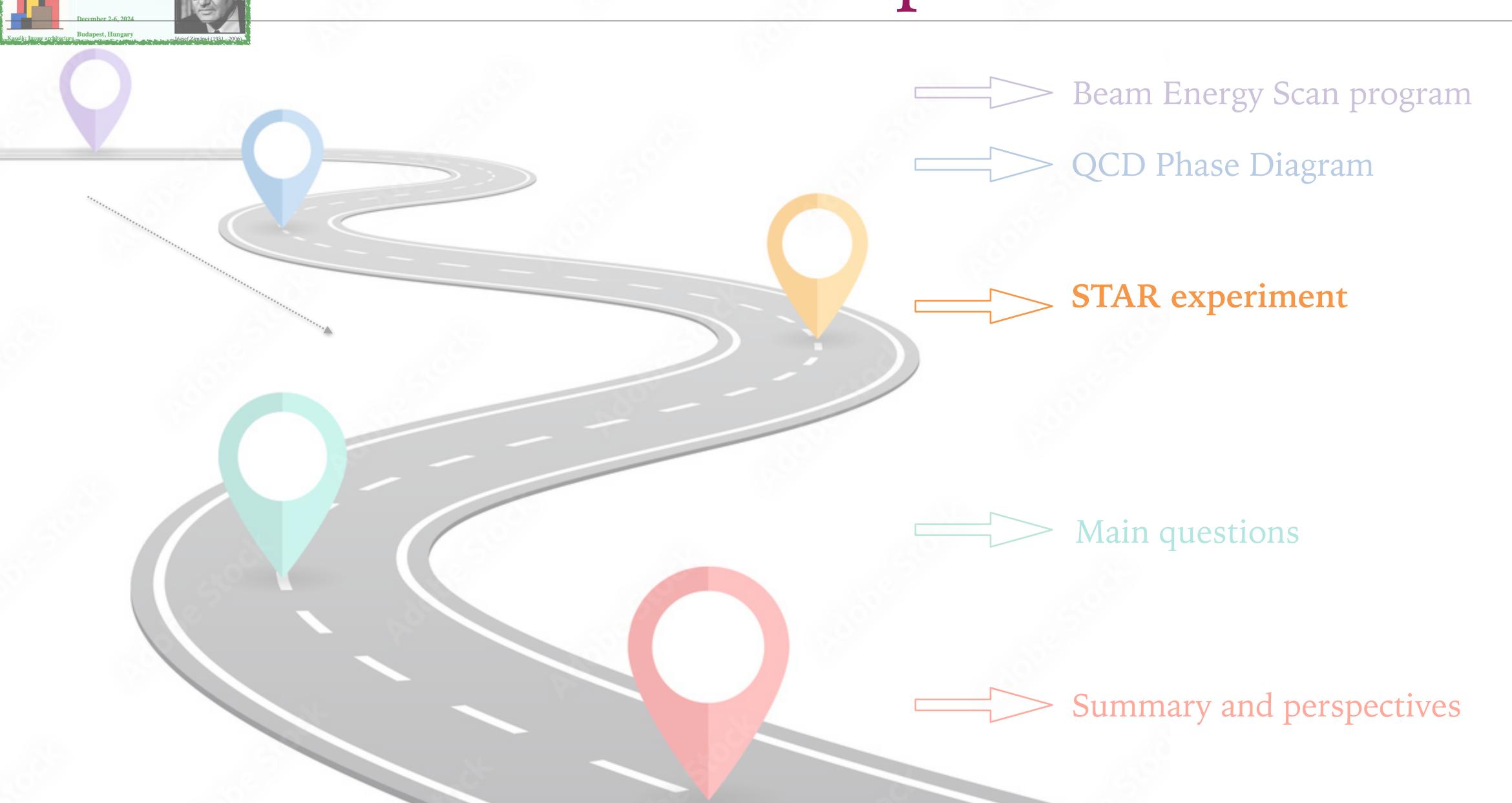
**Strategy**: to map the phase diagram ( $\mu_B$ ,T) using heavy-ion collisions changing their collision energy: BES-I, BES-II (+FXT)

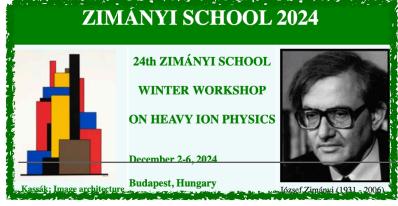


Baryon Chemical Potential  $\mu_B$ 



# Road map



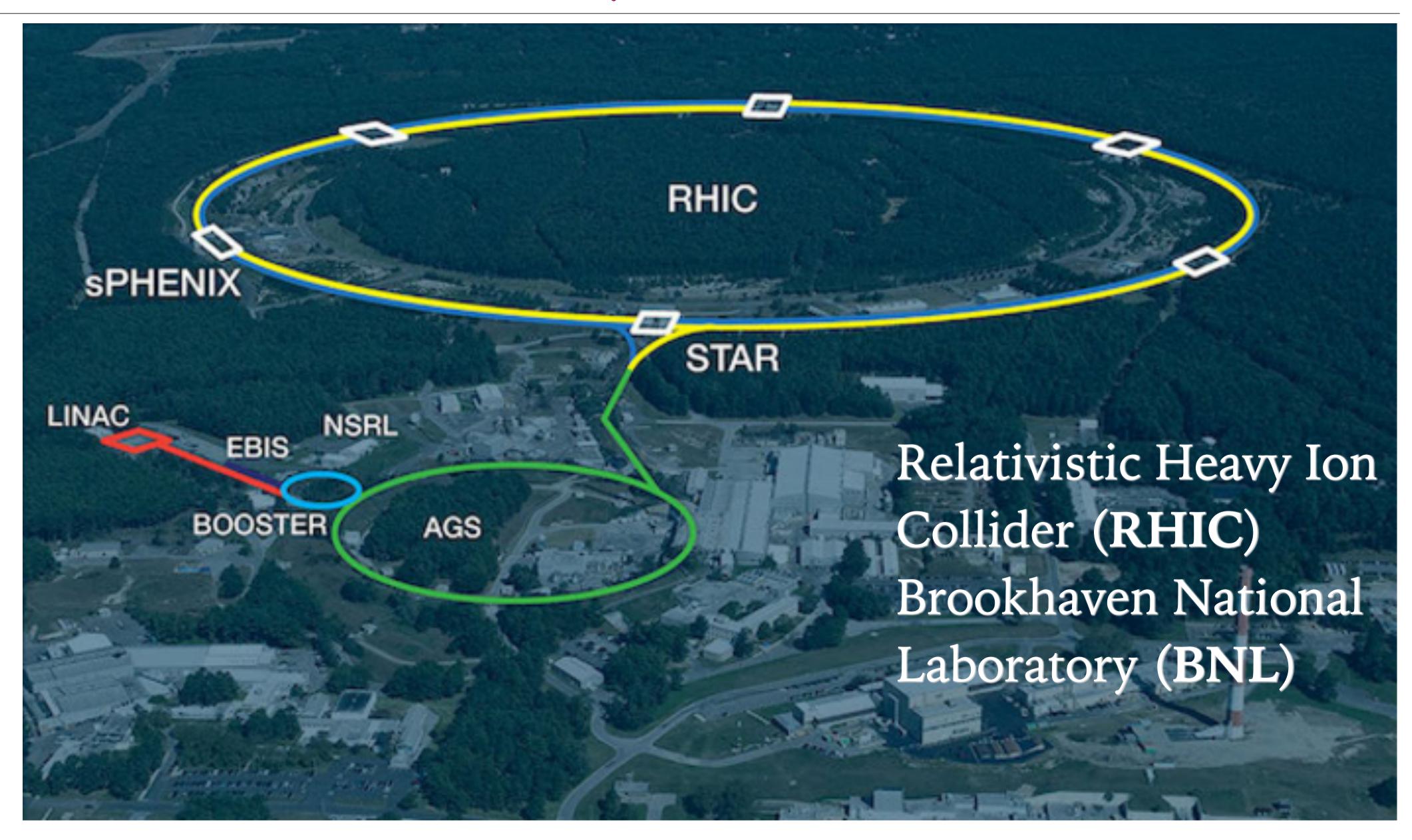


- 3.83 km circumference
- Two independent rings
- Collides so far:
  - Au+Au, p+p,
    d+Au, Cu+Cu,
    U+U, Cu+Au,
    <sup>3</sup>He+Au, p+Au
    Zr+Zr, Ru+Ru
- Top Center-of-Mass Energy
  - •510 GeV for

p-p

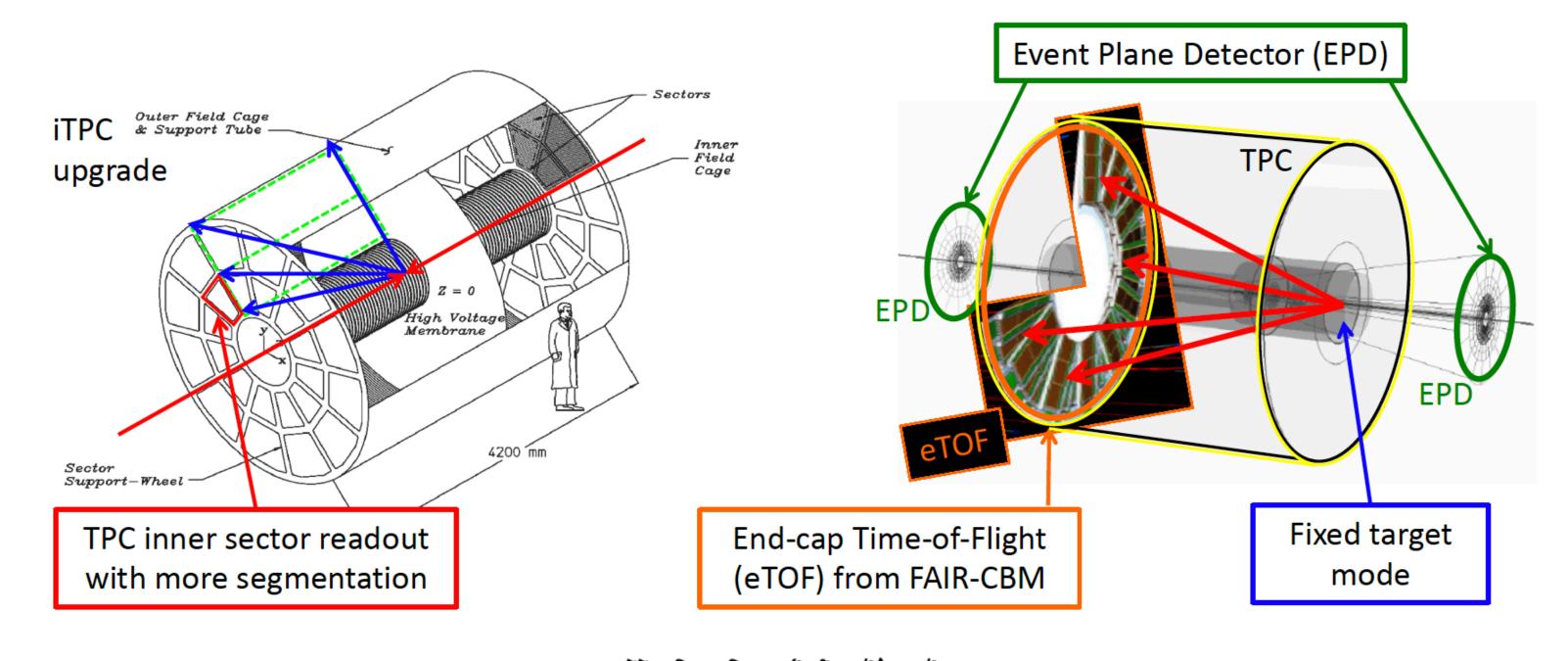
•200 GeV/nucl. for Au-Au

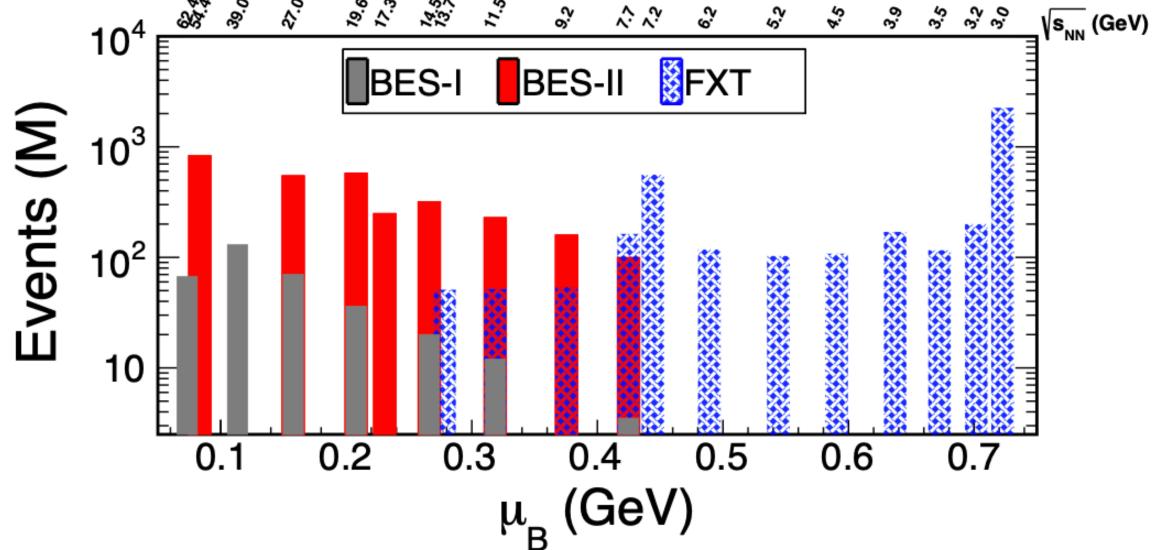
### Relativistic Heavy Ion Collider





#### STAR detector system





Solenoidal Tracker At RHIC originally designed to search for Quark Gluon Plasma.

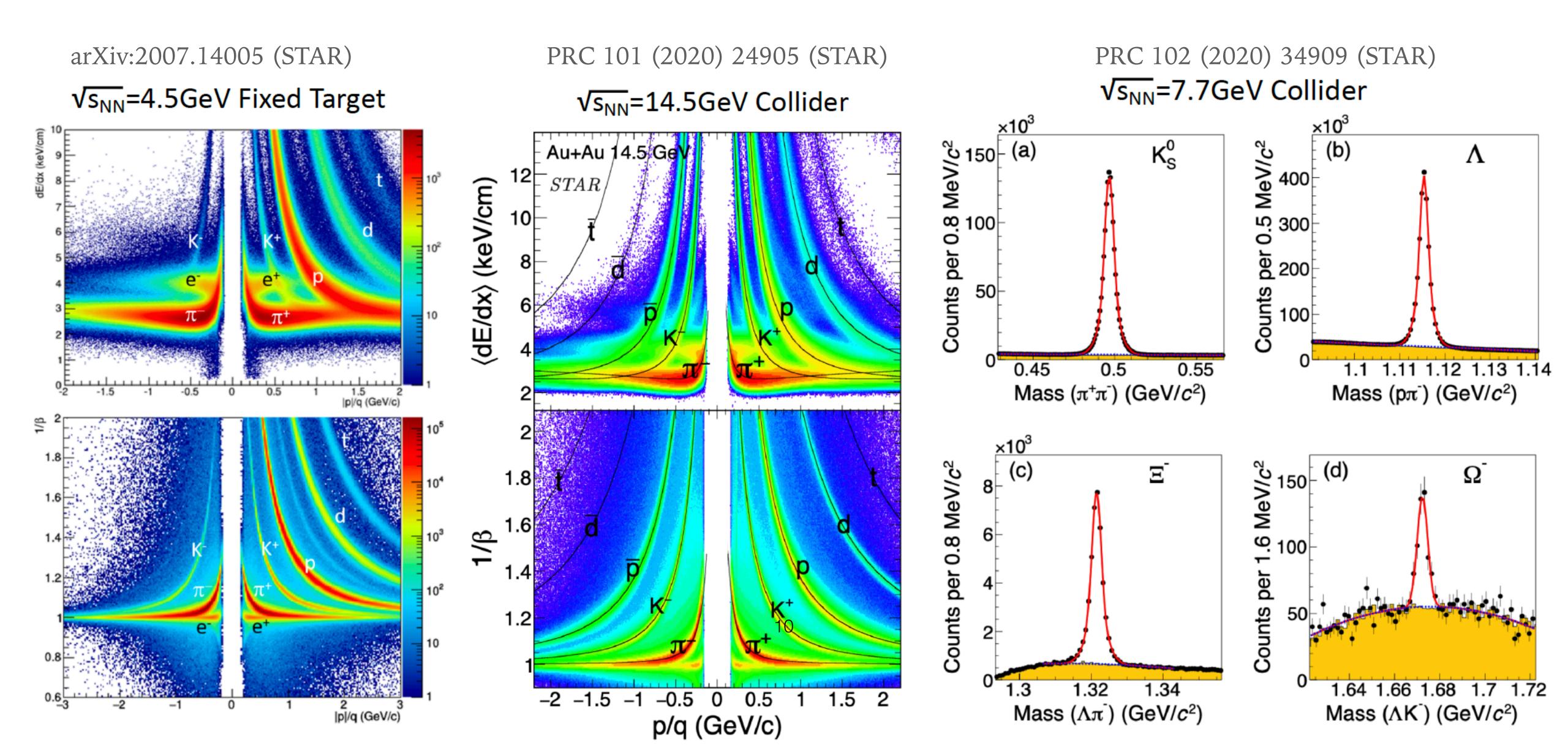
BES program started at 2010.

Luminosity of the RHIC collider-mode is unusable for  $\sqrt{s_{NN}}$  < 7.7 GeV.

Fixed-target (FXT) program extends the collision energy and  $\mu_B$  coverage.

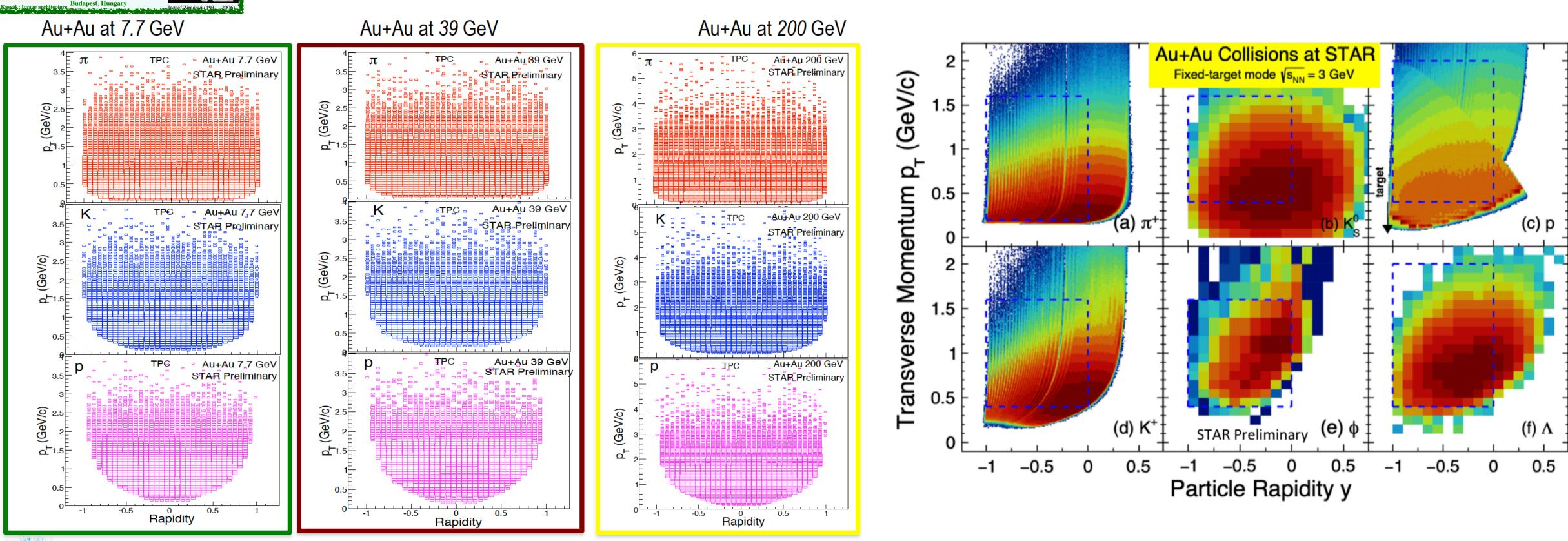


#### Particle identification





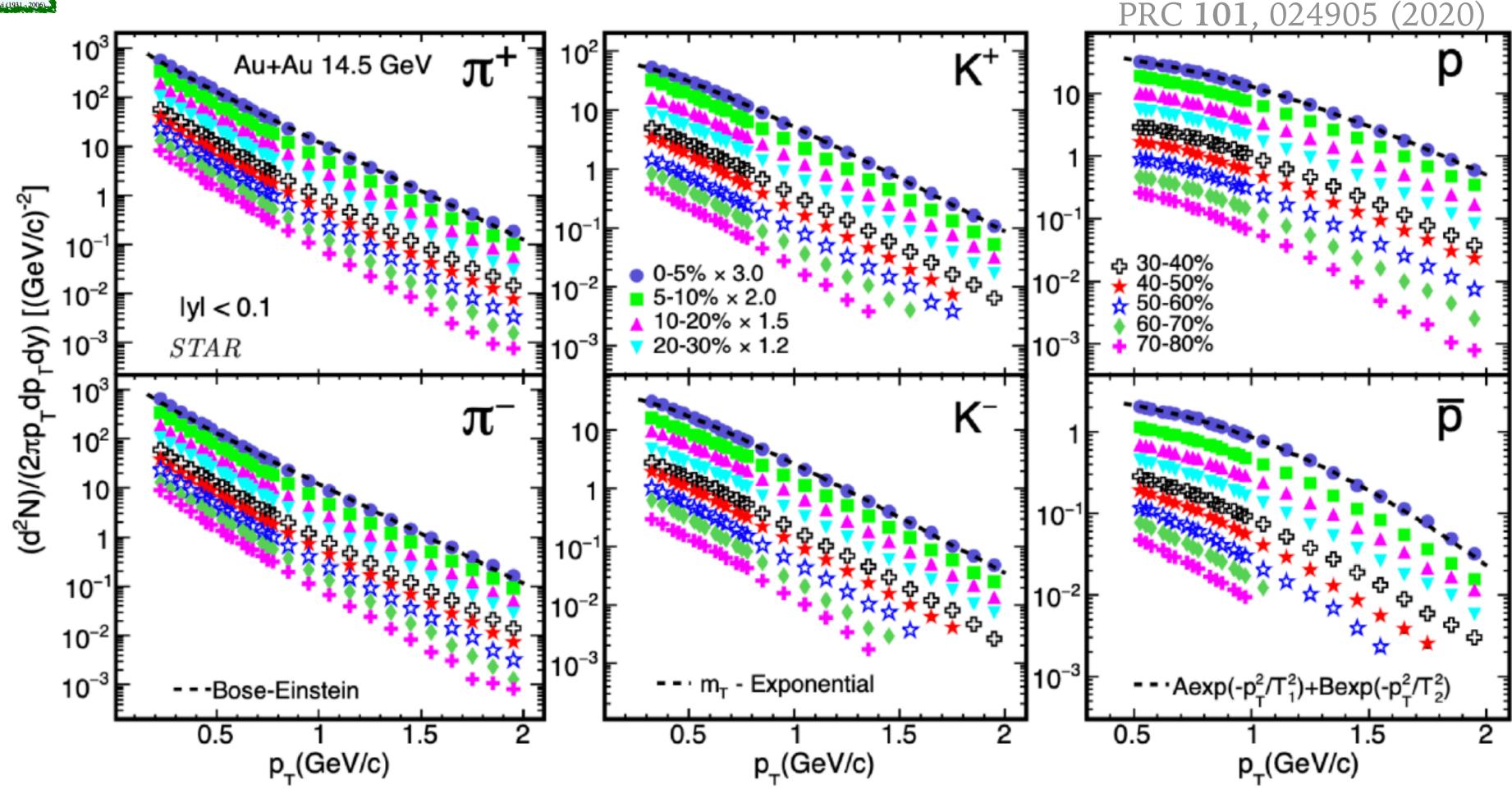
# Collider and fixed-target acceptance



Similar acceptance for all particles and energies

# ZIMÁNYI SCHOOL 2024 24th ZIMÁNYI SCHOOL WINTER WORKSHOP ON HEAVY ION PHYSICS December 2-6, 2024 Budapest, Hungary

#### Particle spectra

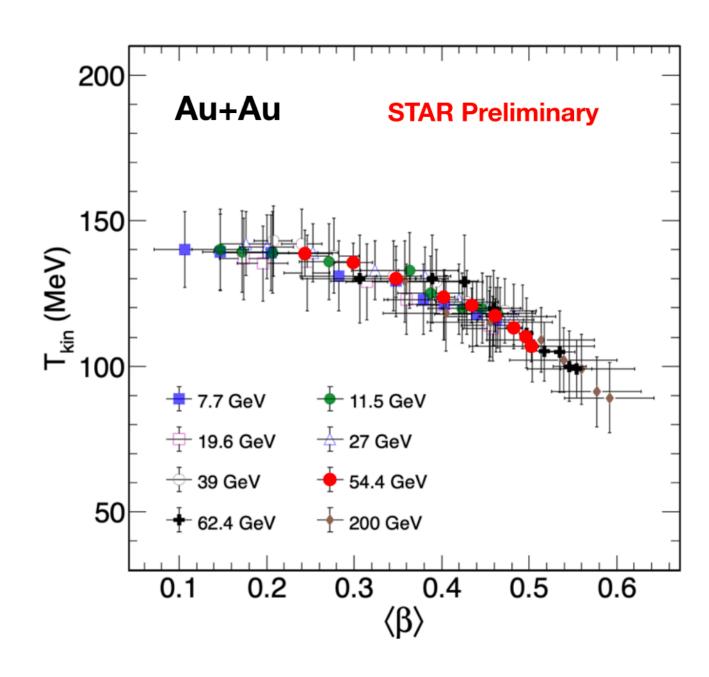


Inverse slopes of the identified hadron spectra follow the order  $\pi < K < p$ 

$$\frac{dN}{m_T dm_T dy} = f(y) exp(\frac{-m_T}{T}); m_T = \sqrt{m^2 + p_T^2}$$



# Chemical and kinetic freeze-out parameters

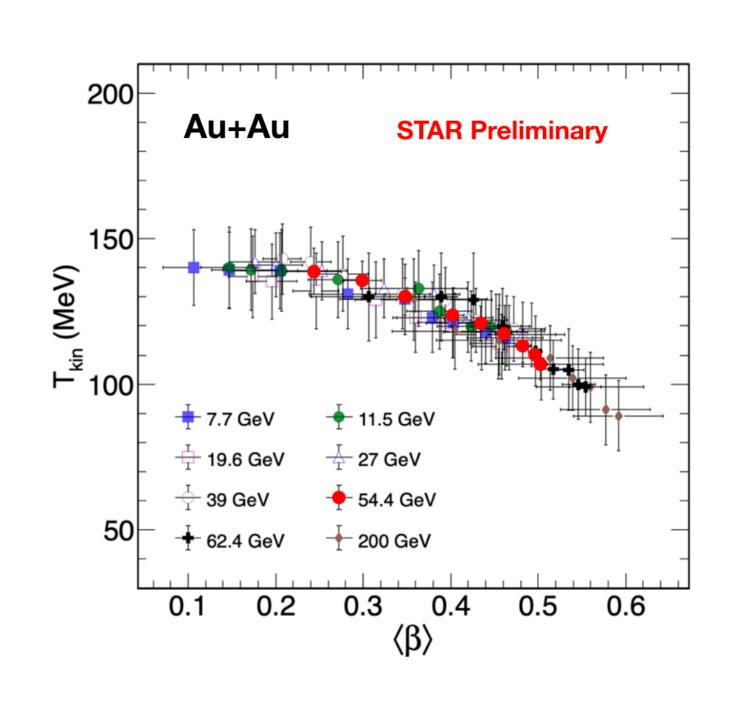


Extracted from spectra:

$$m_T - m \text{ of } \pi, K, p$$



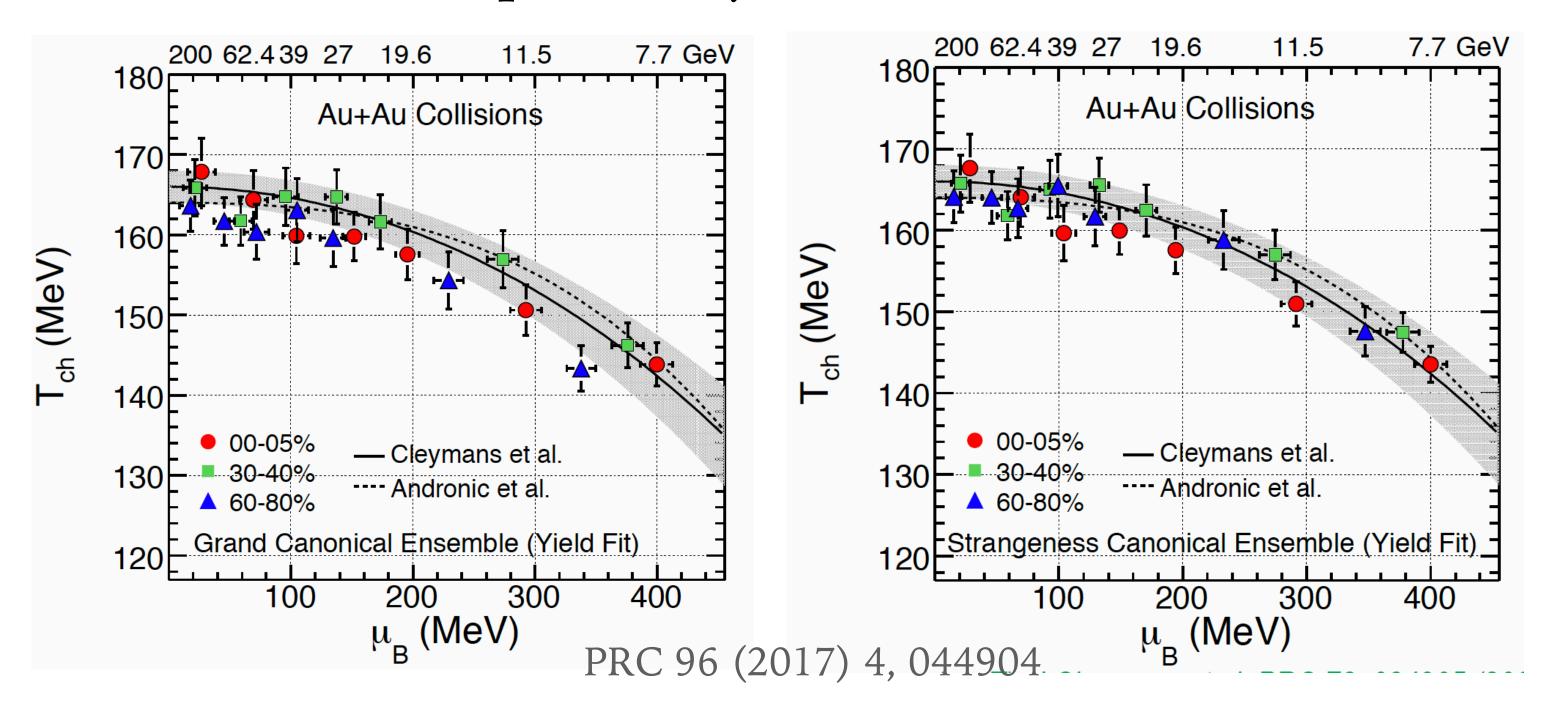
#### Chemical and kinetic freeze-out parameters



Extracted from spectra (from Blast Wave model):

$$m_T - m \text{ of } \pi, K, p$$

#### Extracted from particle yields with THERMUS model



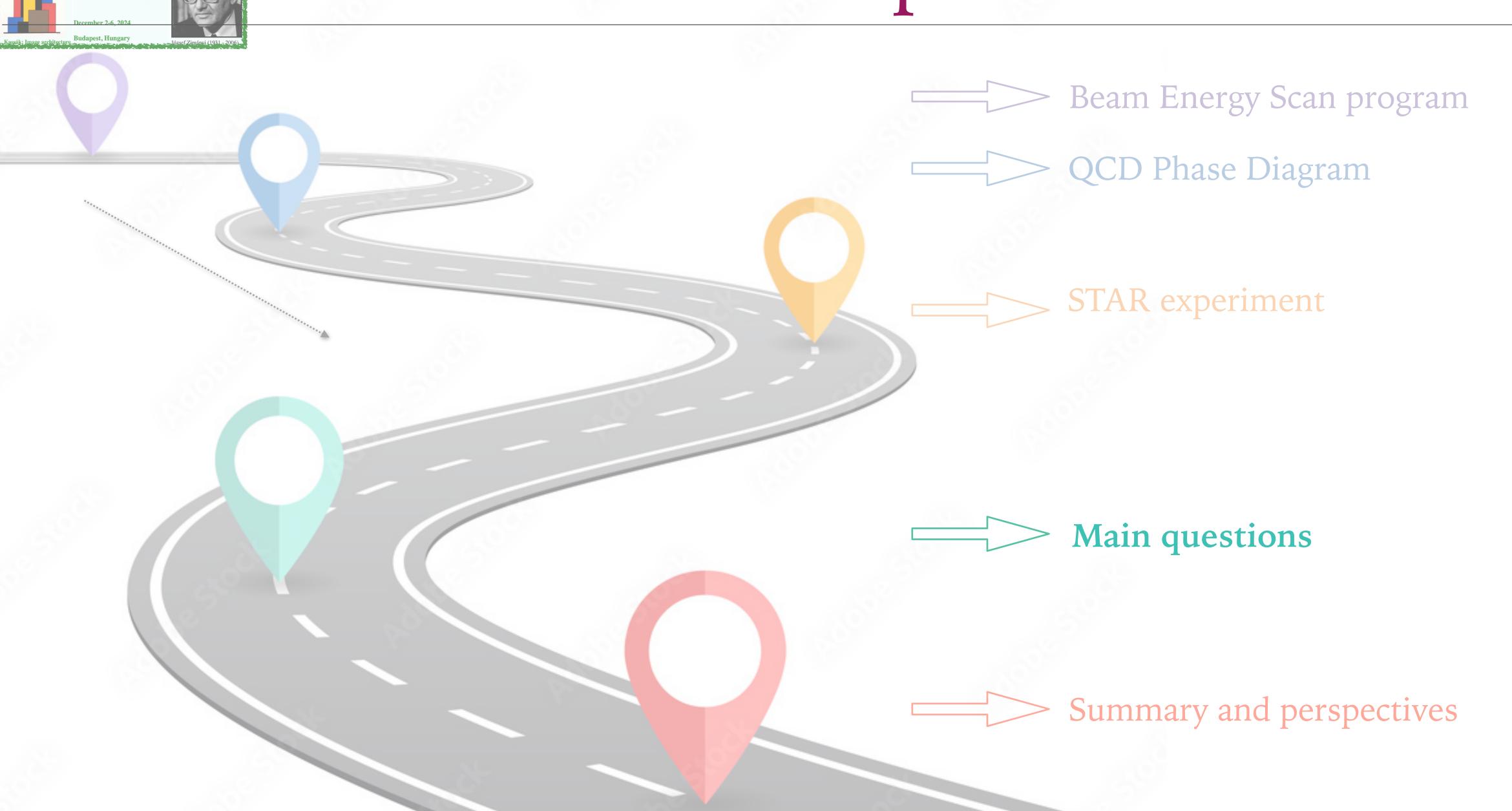
Extracted from particle yields with THERMUS model assuming Grand (Strangeness) Canonical ensemble.

BES-I:  $\mu_B \sim 20~\text{MeV}$  - 420 MeV

BES-II:  $\mu_B \sim 205 \text{ MeV}$  - 720 MeV



# Road map





#### Observables

1. **Onset of QGP** (disappearance of signals of partonic degrees of freedom)

Charge separation w.r.t. EP

NCQ scaling of elliptic flow

2. Search for signatures of first order phase transition (softening of EOS at lower collision energy)

Directed flow  $v_1$ Femtoscopy

3. Existence of Critical Point (CP)

Fluctuation analyses



#### Observables

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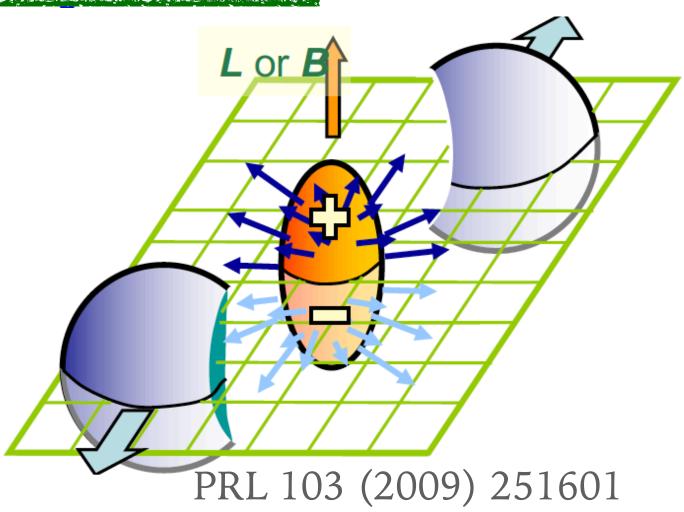
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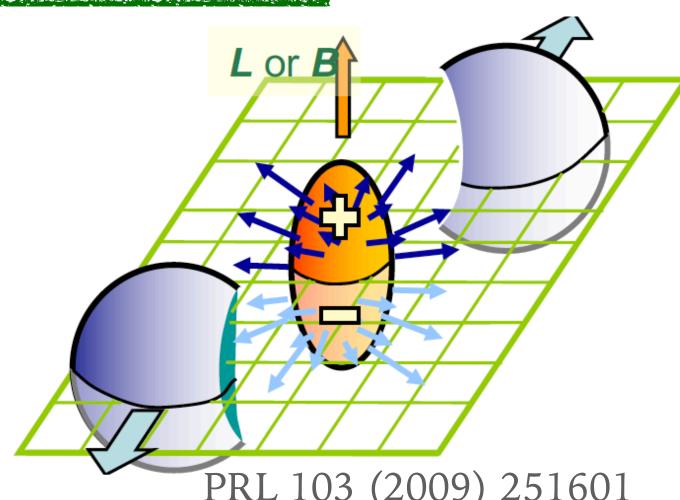
# Charge separation



- Strong **B**, system is **deconfined**, chiral symmetry restoration is reached.
- Chiral symmetry breaking and the origin of hadrons masses related to the existence of gluons field.
- Quarks interactions with gluons fields can change quarks chirality, and may lead to Local Parity Violation.
- Chiral Magnetic Effect: separation of the charges along the B axis (or L).



# Charge separation

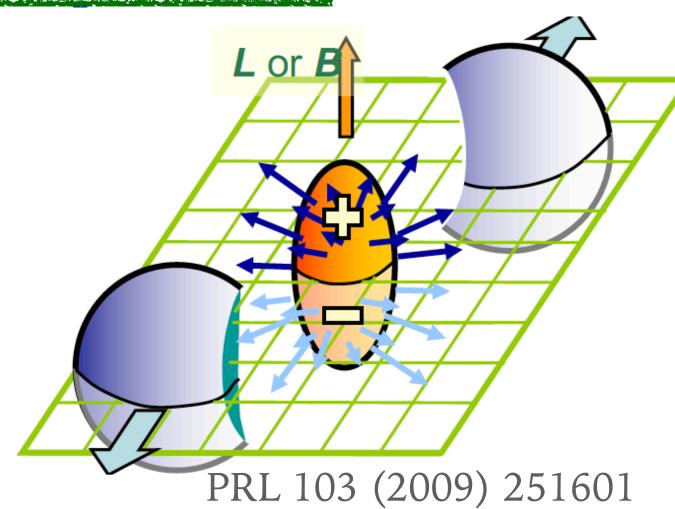


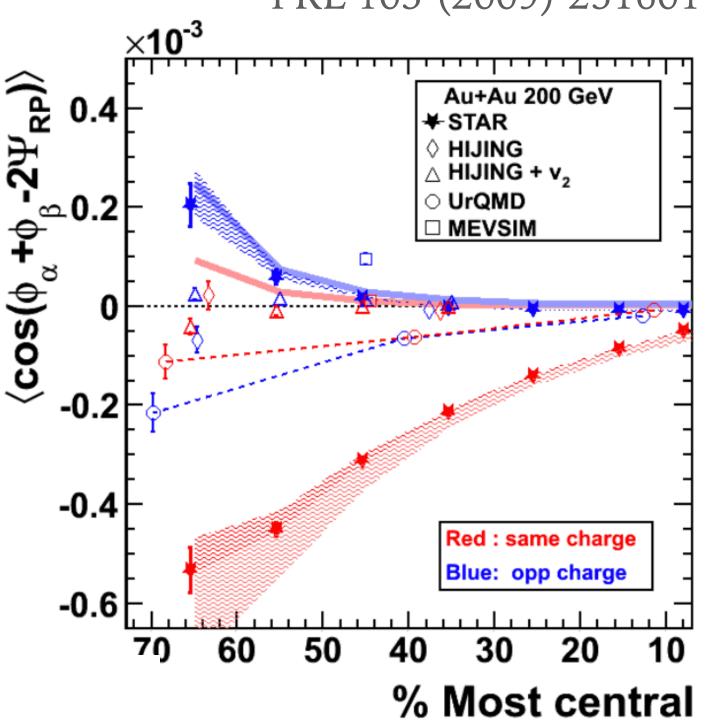
PRL 103 (2009) 251601  $\langle \cos(\phi_{\alpha} + \phi_{\beta} - 2\Psi_{RP}) \rangle$ 0.4
0.5
0.6
0.7 Au+Au 200 GeV ¥-STAR ♦ HIJING  $\triangle$  HIJING +  $v_2$ ○ UrQMD □ MEVSIM Red: same charge Blue: opp charge **-0.6** <u>⊢</u> 60 50 20 30 % Most central

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- Au+Au, U+U and Cu+Cu at top RHIC energies show charge separation measures as  $\gamma = \langle \cos(\phi_{\alpha} + \phi_{\beta} 2\Psi_{RP}) \rangle$

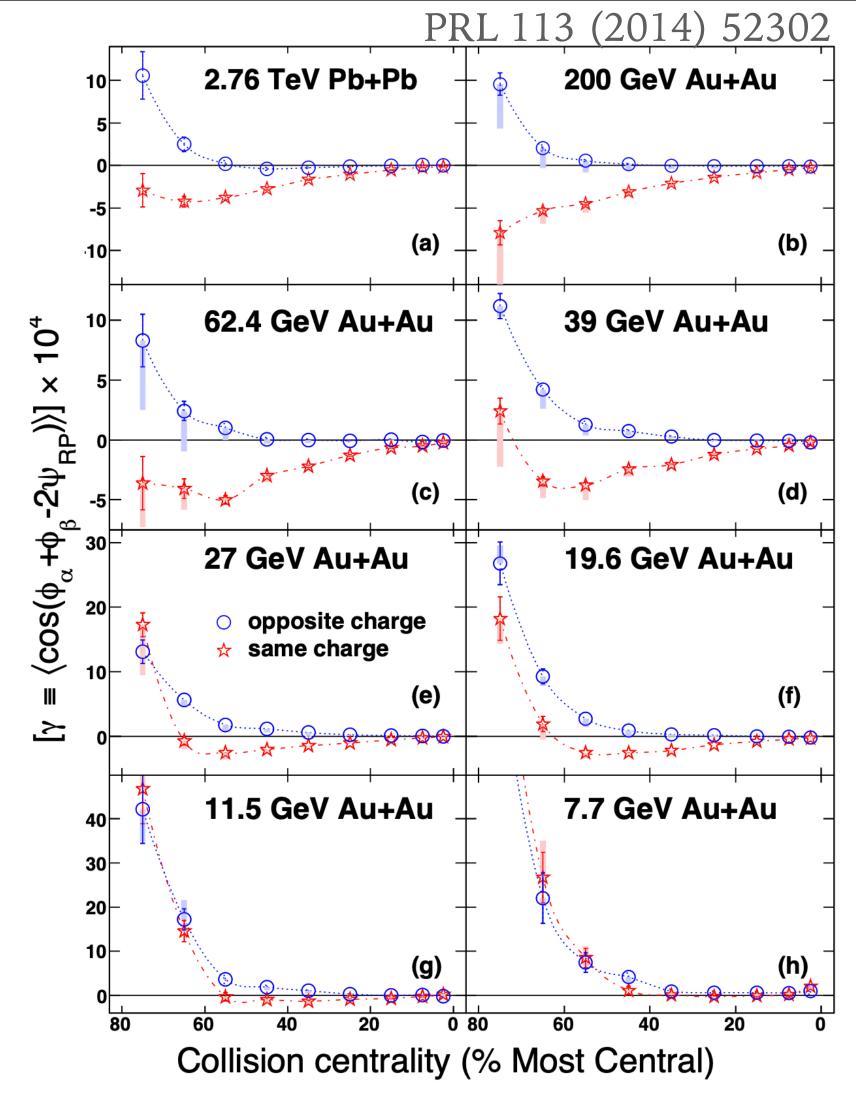


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- Au+Au, U+U and Cu+Cu at top RHIC energies show charge separation measures as  $\gamma = \langle \cos(\phi_{\alpha} + \phi_{\beta} 2\Psi_{RP}) \rangle$
- Is reduction of signal with decreasing collision energy the signal of turn-off of deconfinement?

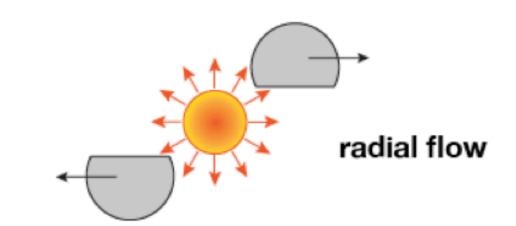


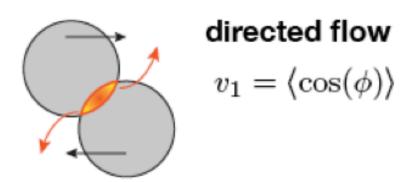
Splitting between same- and opposite-sign charges decreases with decreasing collision energy and disappears below  $\sqrt{s_{NN}} = 11.5$  GeV

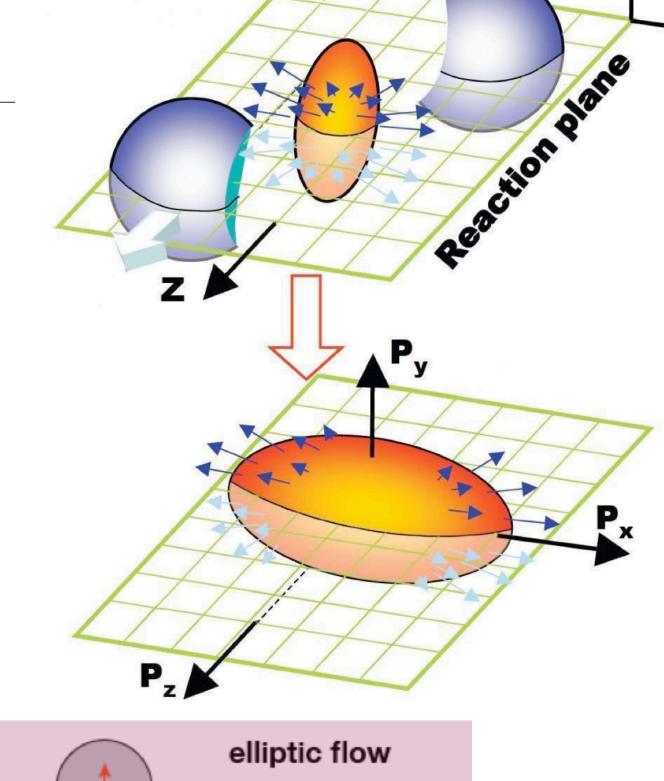


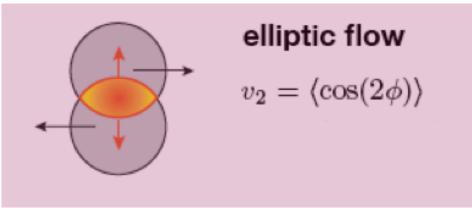
# Elliptic flow

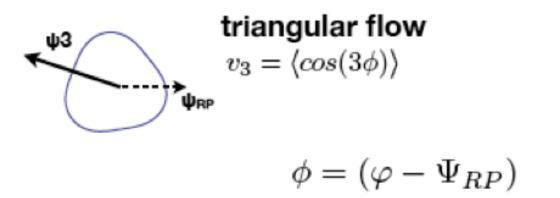
Initial spatial anisotropy leads to the final momentum anisotropy



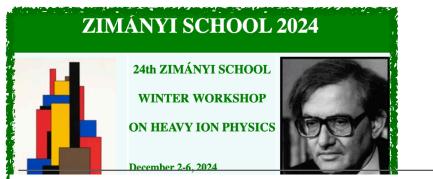




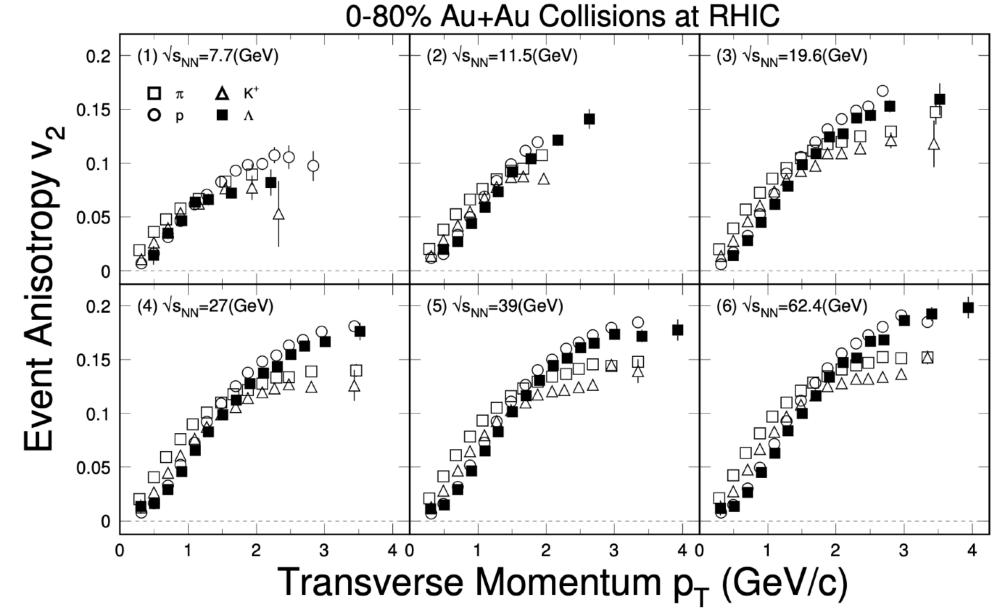


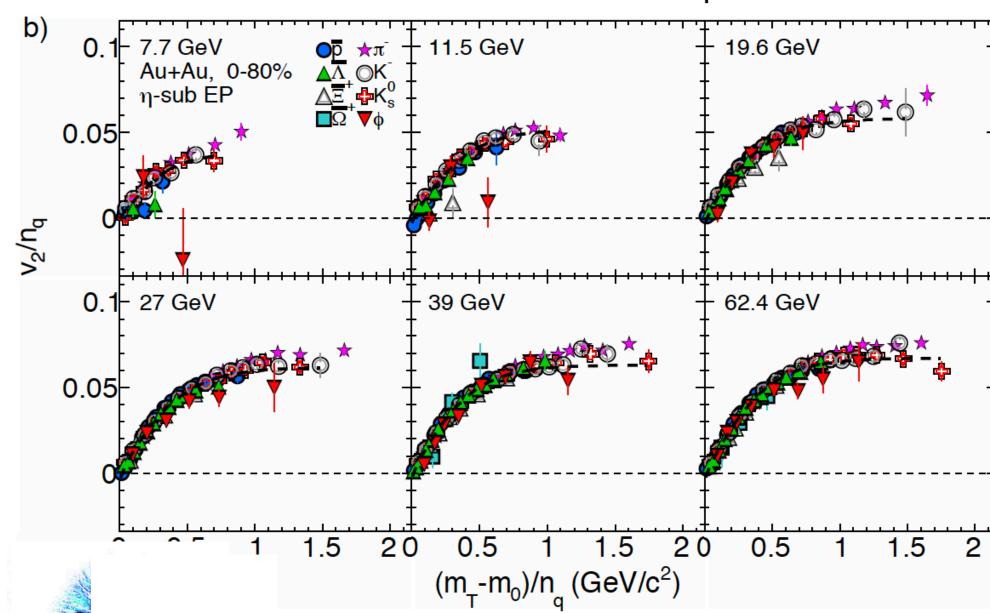


$$E\frac{\mathrm{d}^{3}N}{\mathrm{d}^{3}\mathbf{p}} = \frac{1}{2\pi} \frac{\mathrm{d}^{2}N}{p_{t}\mathrm{d}p_{t}\mathrm{d}y} \left( 1 + 2\sum_{n=1}^{\infty} v_{n} \cos[n(\varphi - \Psi_{\mathrm{RP}})] \right)$$
 21

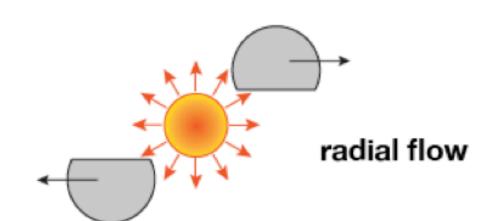


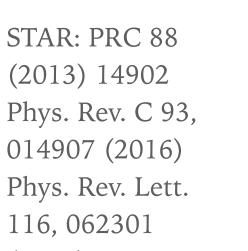
# Elliptic flow

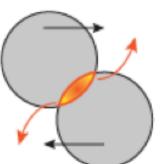




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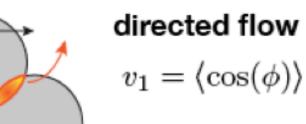


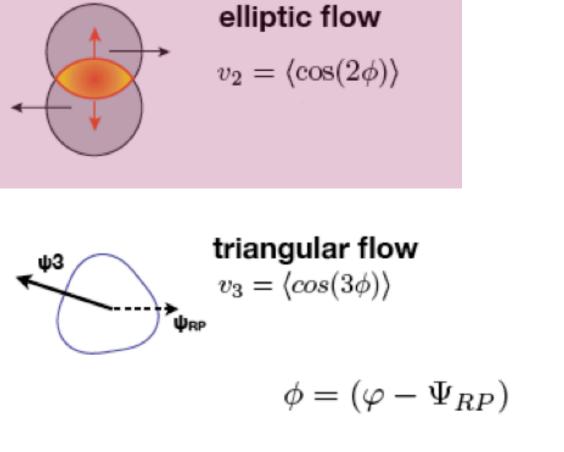




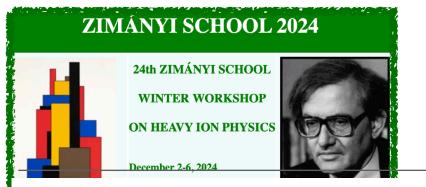
(2013) 14902 Phys. Rev. C 93, 014907 (2016) Phys. Rev. Lett. 116, 062301

(2016)

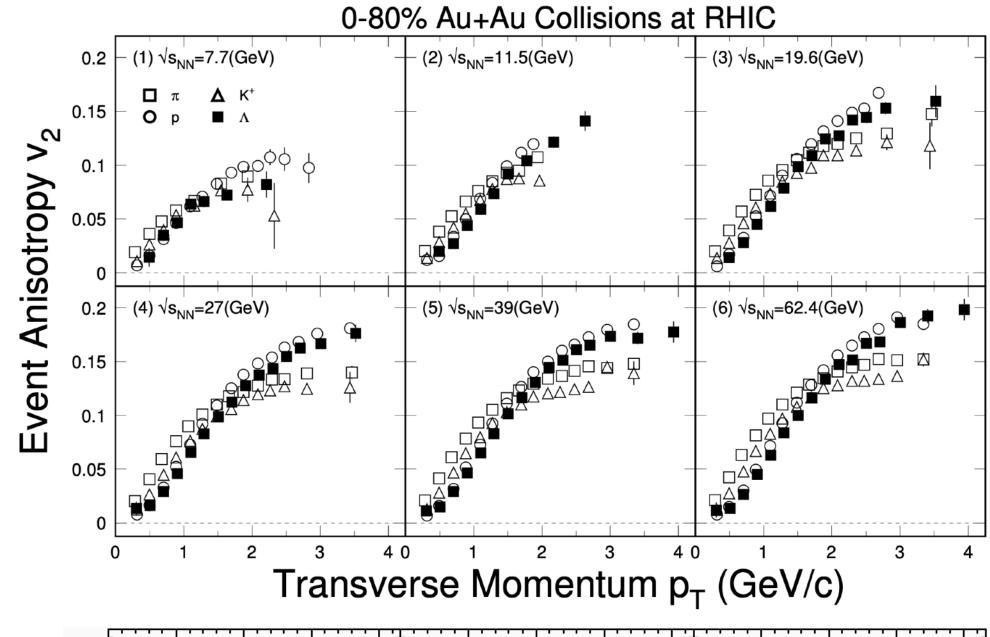


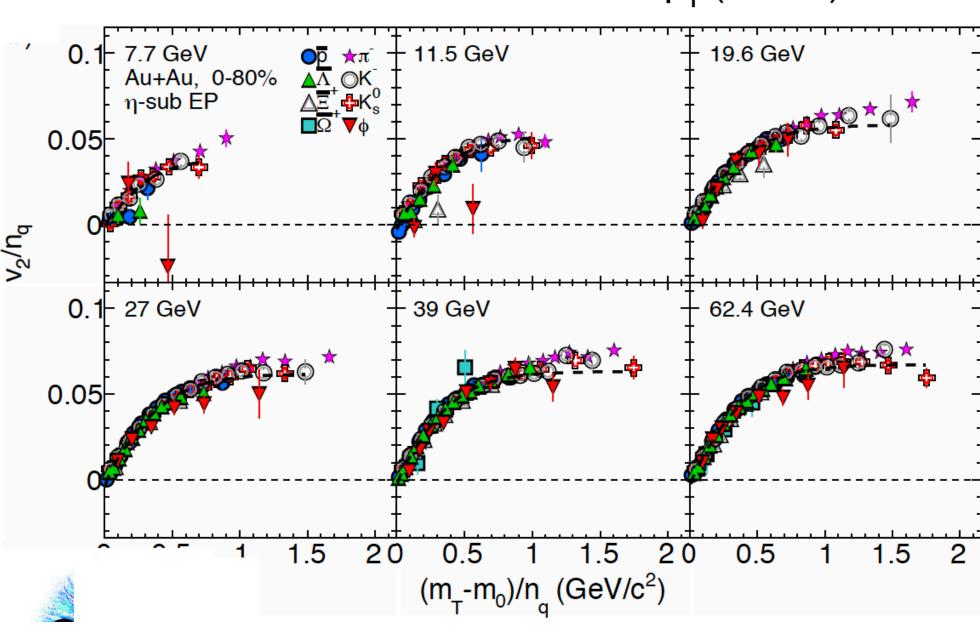


$$E\frac{\mathrm{d}^3 N}{\mathrm{d}^3 \mathbf{p}} = \frac{1}{2\pi} \frac{\mathrm{d}^2 N}{p_{\mathrm{t}} \mathrm{d} p_{\mathrm{t}} \mathrm{d} y} \left( 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\varphi - \Psi_{\mathrm{RP}})] \right)$$



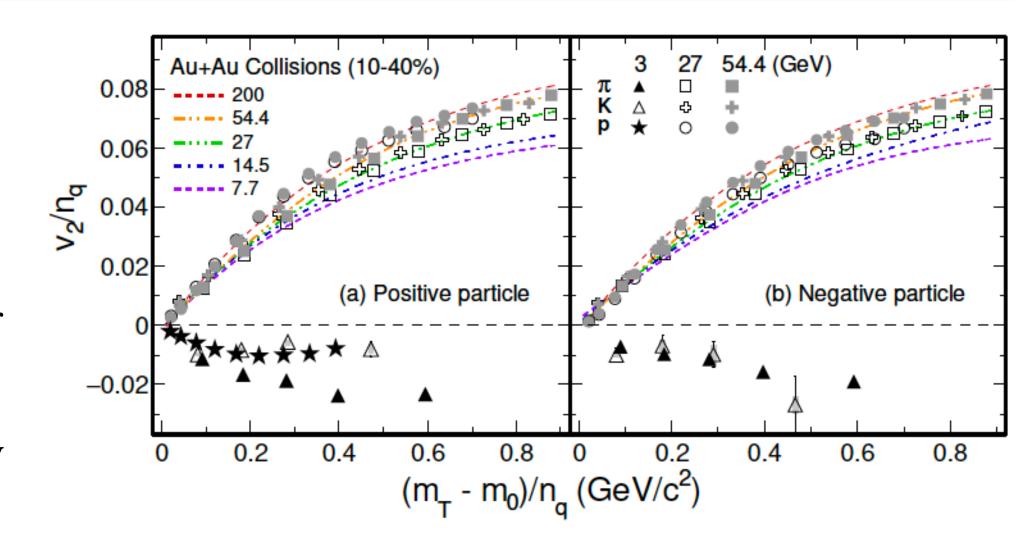
#### Elliptic flow





 $v_2(p_T)$  are mass ordered

- $\phi$  meson  $v_2$  falls the trend from other hadrons at  $\sqrt{s_{NN}} = 11.5$  GeV, (low statistics)
- The NCQ scaling holds within uncertainties for these BES-I energies



- $v_2 > 0 \rightarrow$  formation of the QGP, scaling of NCQ
- $v_2$  <0, slope of the  $v_1$  <0 ( $\sqrt{s_{NN}}$  = 3 GeV)  $\rightarrow$  NCQ scaling absent

O.5 1 1.5 2 Phys. Rev. C 93, 014907 (2016)

Phys. Rev. Lett. 116, 062301 (2016)



#### Observables

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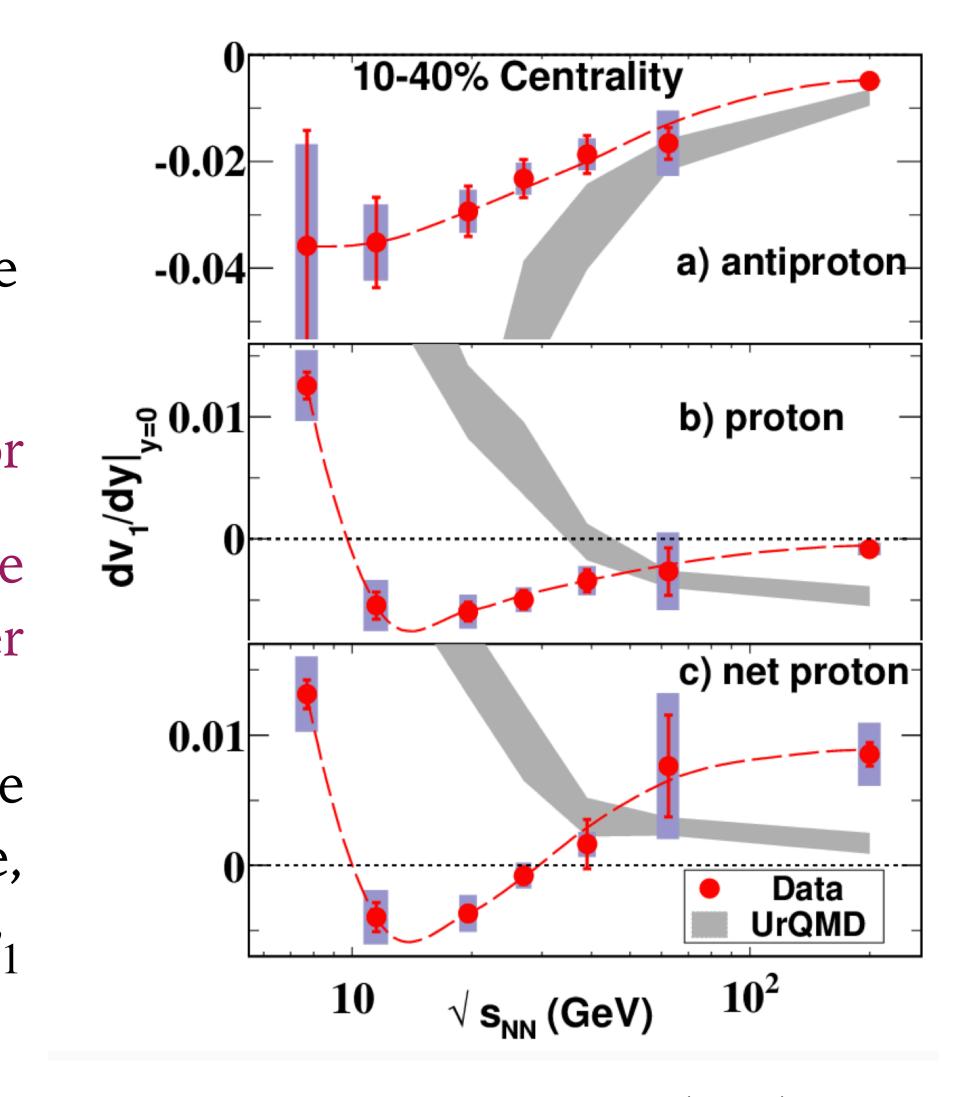
Directed flow  $v_1$ Femtoscopy

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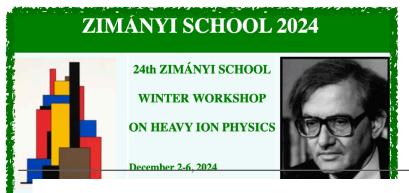


#### Directed flow and $\langle m_T \rangle - m$ dependence

- $v_1$  probes early stage of collision;
- $v_1$  sensitive to compression;
- $v_1$  should be sensitive to the first-order phase transition;
- change of sign in the slope of  $\frac{dv_1}{dy}$  (for baryons, or net-baryons) predicted as a probe to the softening of EOS and/or the first-order phase transition;
- If a system undergoes a first-order phase transition, due to formation of mixed phase, pressure gradient is small (minimum in the  $v_1$  slope parameter);

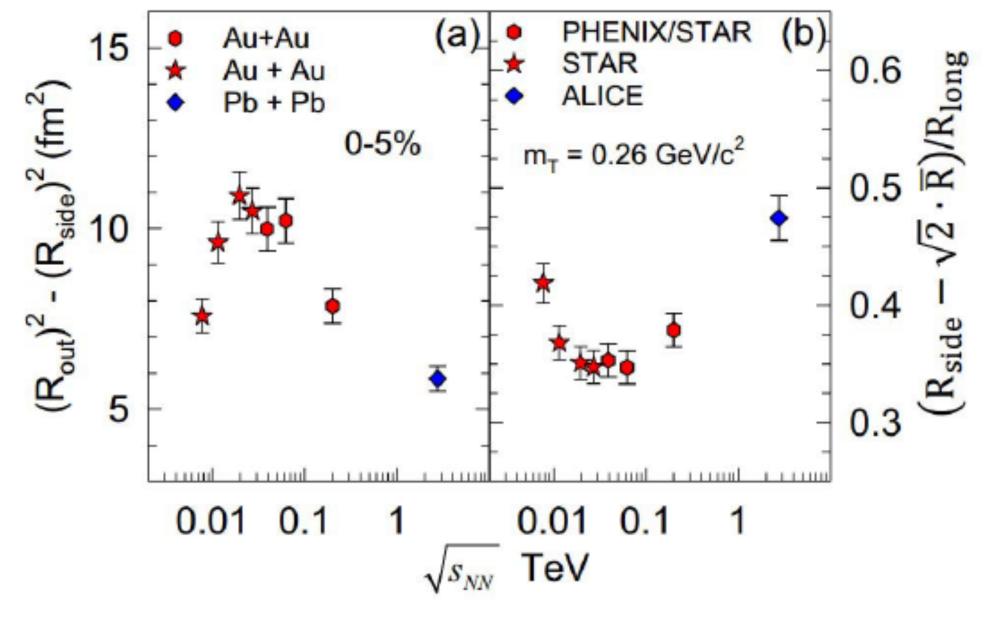


STAR, PRL 112, 162301 (2014)

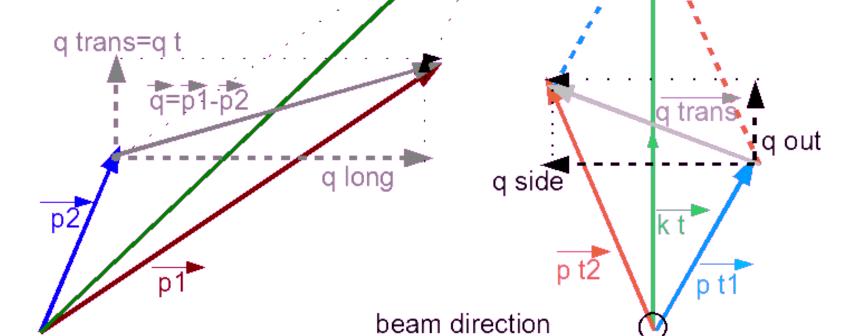


#### Femtoscopy

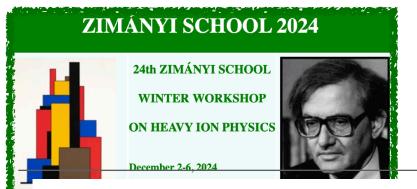
#### PHENIX Collaboration, arXiv:1410.2559



- $R_{out}^2 R_{side}^2 = \beta_t^2 \Delta \tau^2$ : related to emission duration
- $(R_{\rm side} \sqrt{2}\bar{R})/R_{\rm long}$ : related to expansion velocity,  $\bar{R}$ : initial transverse size
- Indication of the critical behavior?

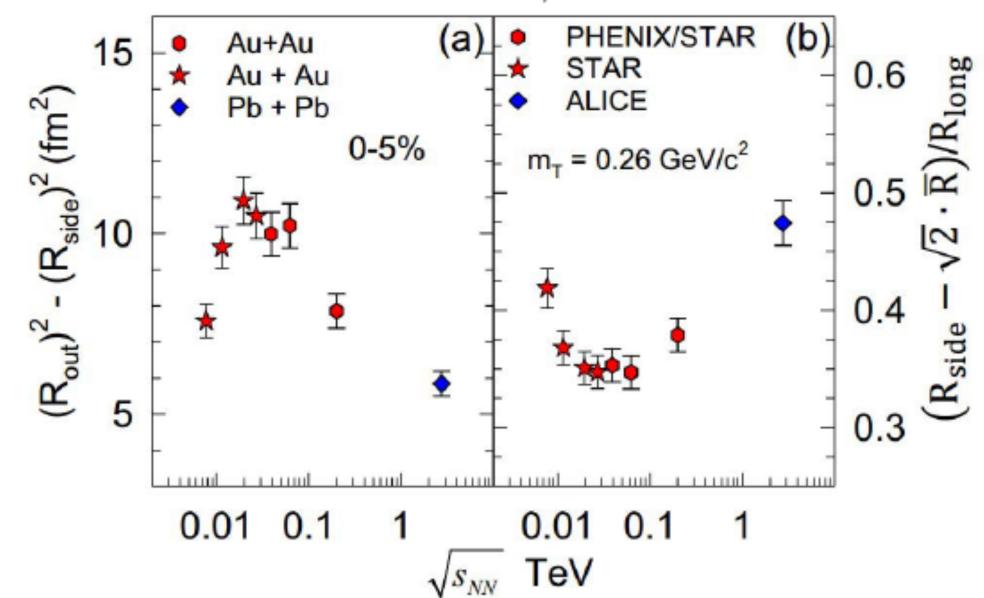


P=p1+p2

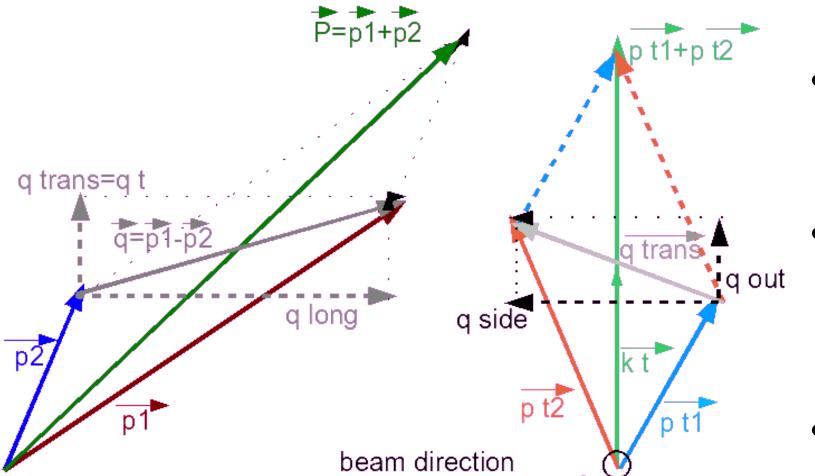


#### Femtoscopy

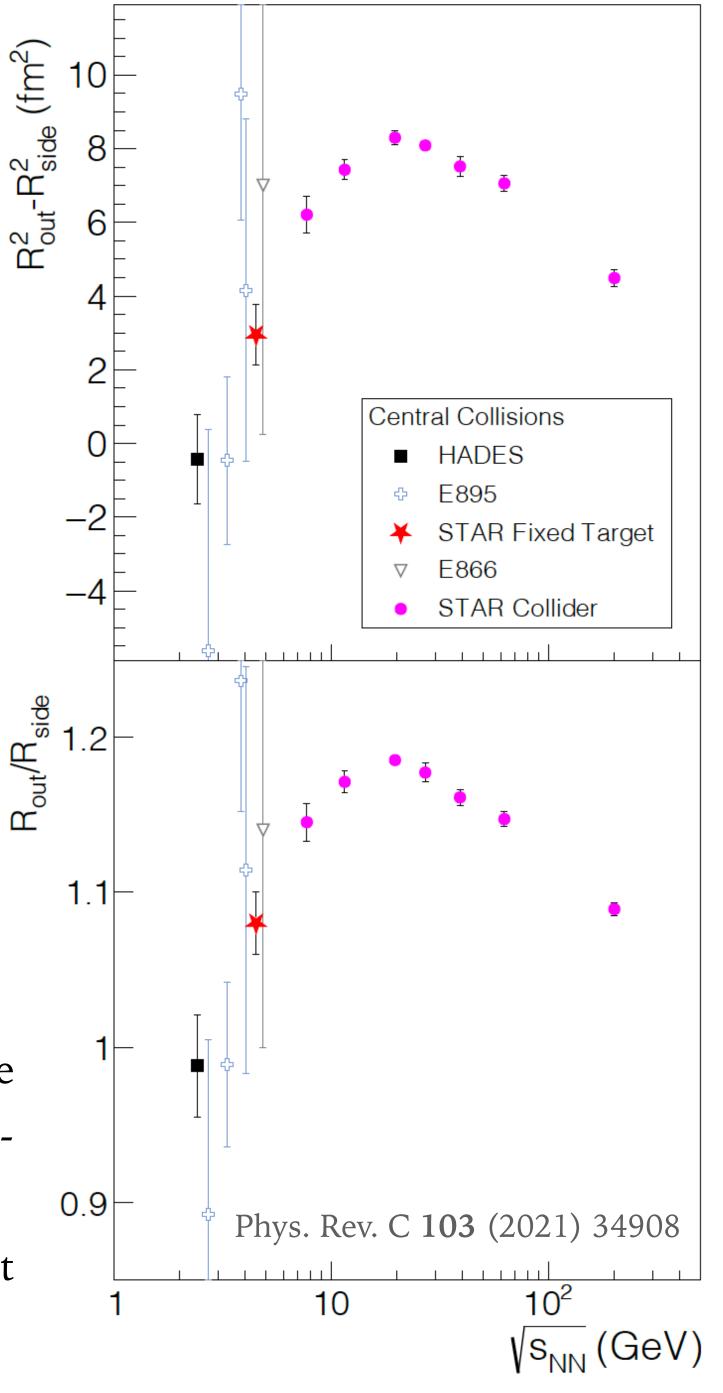
PHENIX Collaboration, arXiv:1410.2559



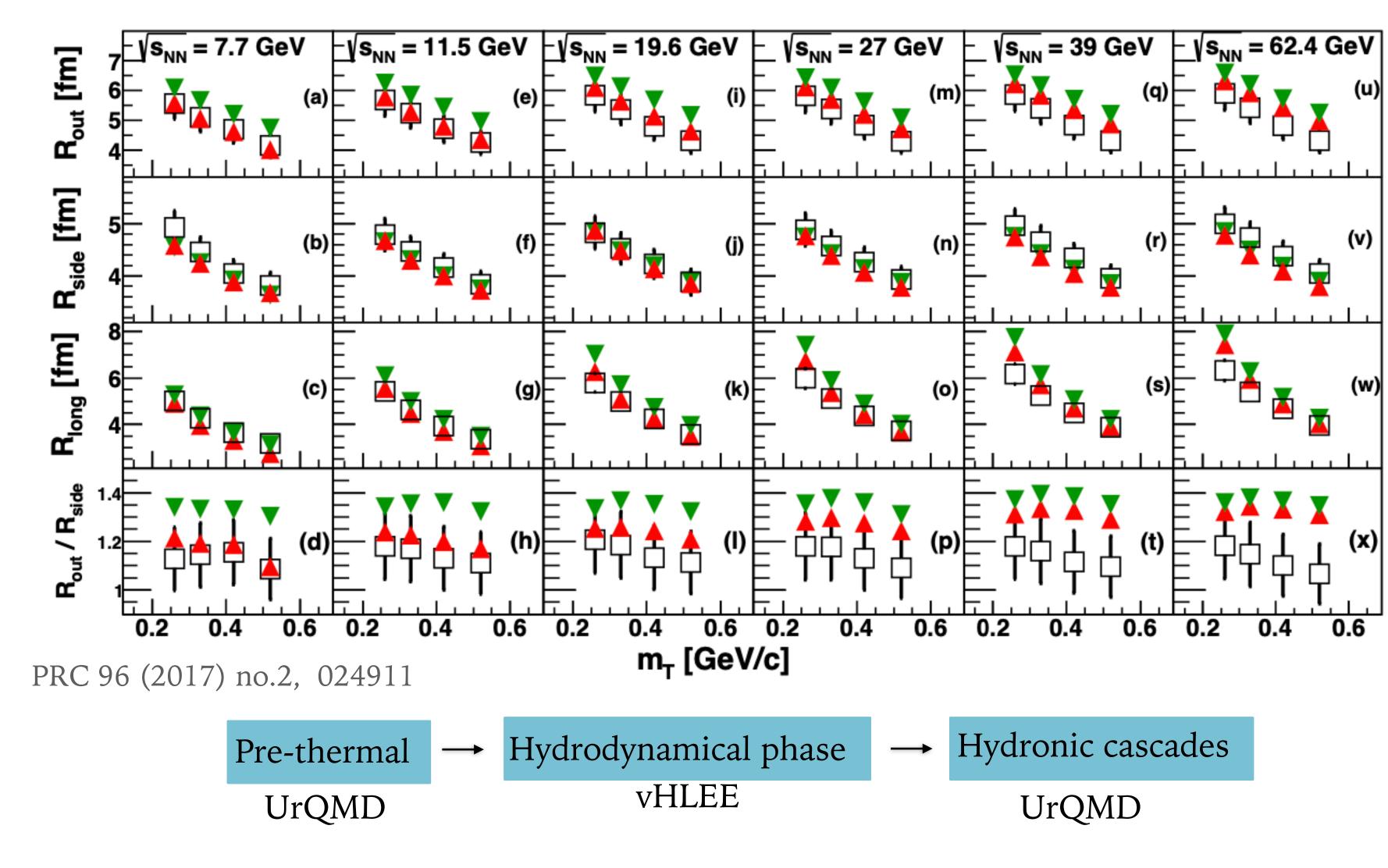
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- Indication of the critical behavior?



- Visible **peak** in  $\frac{R_{out}}{R_{side}}(\sqrt{s_{NN}})$  near the  $\sqrt{s_{NN}} \simeq$  20 GeV
- QCD calculations predict a peak near to the QGP transition threshold signature of first-order phase transition?
- Theoretical attention from hydro and transport models needed



#### How to measure phase transition?



STAR Data

1st order Phase Transition

Cross-over Transition

vHLLE (3+1)-D viscous hydrodynamics: Iu. Karpenko, P. Huovinen, H. Petersen, M. Bleicher; Phys.Rev. C 91, 064901 (2015), arXiv:1502.01978, 1509.3751

HadronGas + Bag Model → 1<sup>St</sup> order PT; P.F. Kolb, et al, PR C 62, 054909 (2000)

Chiral EoS → crossover PT (XPT); J. Steinheimer, et al, J. Phys. G 38, 035001 (2011)

vHLEE+UrQMD model verify sensitivity of HBT measurements to the first-order phase transition



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Fluctuation analyses



#### Fluctuations and correlations

$$\delta N = N - \langle N \rangle$$

$$C_1 = \langle N \rangle$$

$$C_2 = \langle (\delta N)^2 \rangle = \sigma^2$$

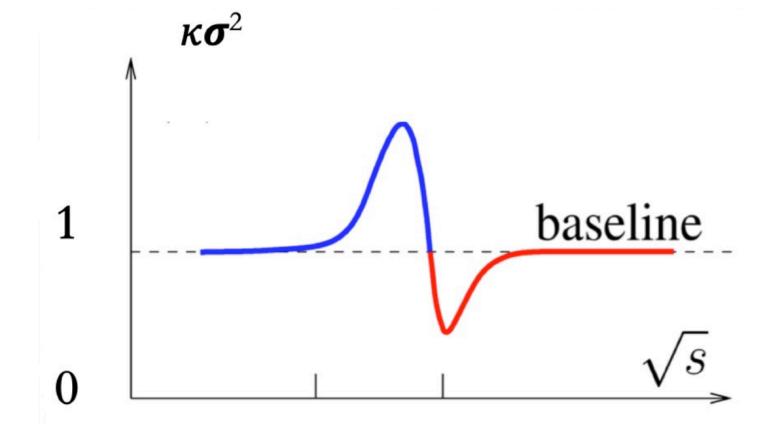
$$C_3 = \langle (\delta N)^3 \rangle$$

$$C_4 = \langle (\delta N)^4 \rangle - 3\langle (\delta N)^2 \rangle^2$$

$$S\sigma = \frac{C_3}{C_2} \qquad \kappa\sigma^2 = \frac{C_4}{C_2}$$

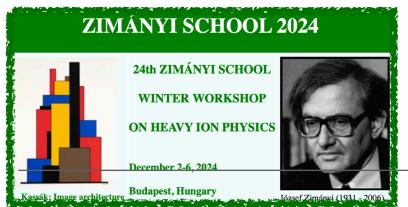
$$C_2 \sim \xi^2 \qquad C_3 \sim \xi^{4.5} \qquad C_4 \sim \xi^7$$

The higher cumulant order, the more sensitive to the correlation length



4th order: predicts a nonmonotonic energy dependence due to contribution from QCD critical point

- Near the QCD CP the divergence of the correlation length expected
- Non-monotonic correlations and fluctuations related to conserved quantities (B, Q, S) could indicate CP
- Higher moments of conserved quantities measure non-Gaussian nature of fluctuations, and are more sensitive (than e.g. variance) to CP fluctuations (leads to correlation length)



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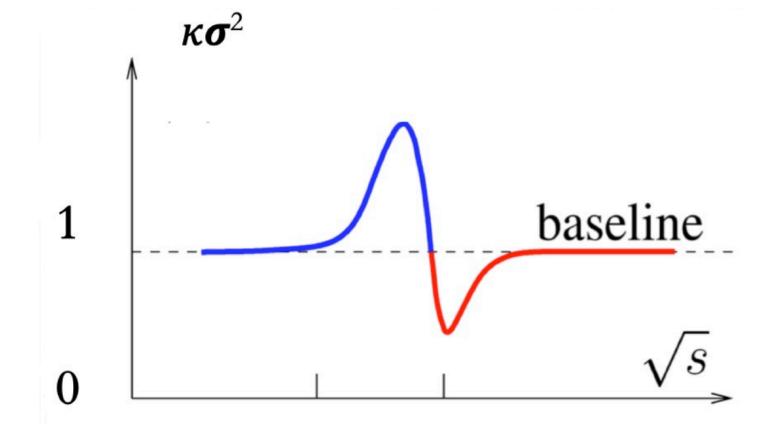
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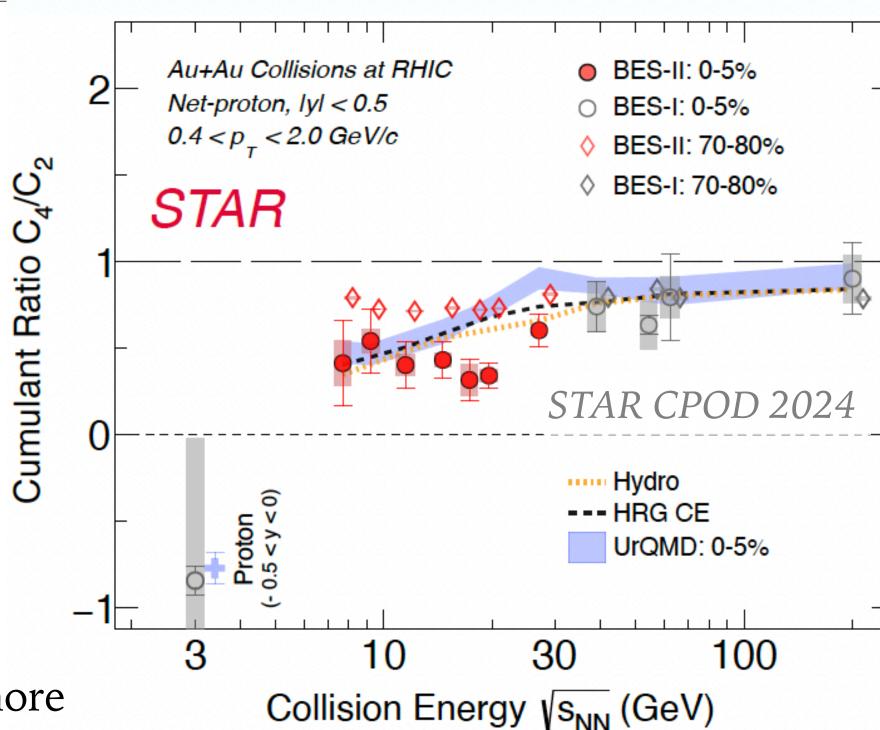
$$S\sigma = \frac{C_3}{C_2} \qquad \kappa \sigma^2 = \frac{C_4}{C_2}$$

$$C_2 \sim \xi^2 \qquad C_3 \sim \xi^{4.5} \qquad C_4 \sim \xi^7$$

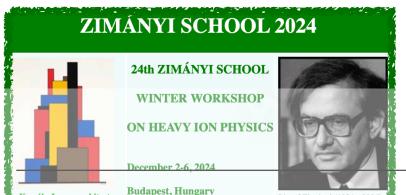
The higher cumulant order, the more sensitive to the correlation length



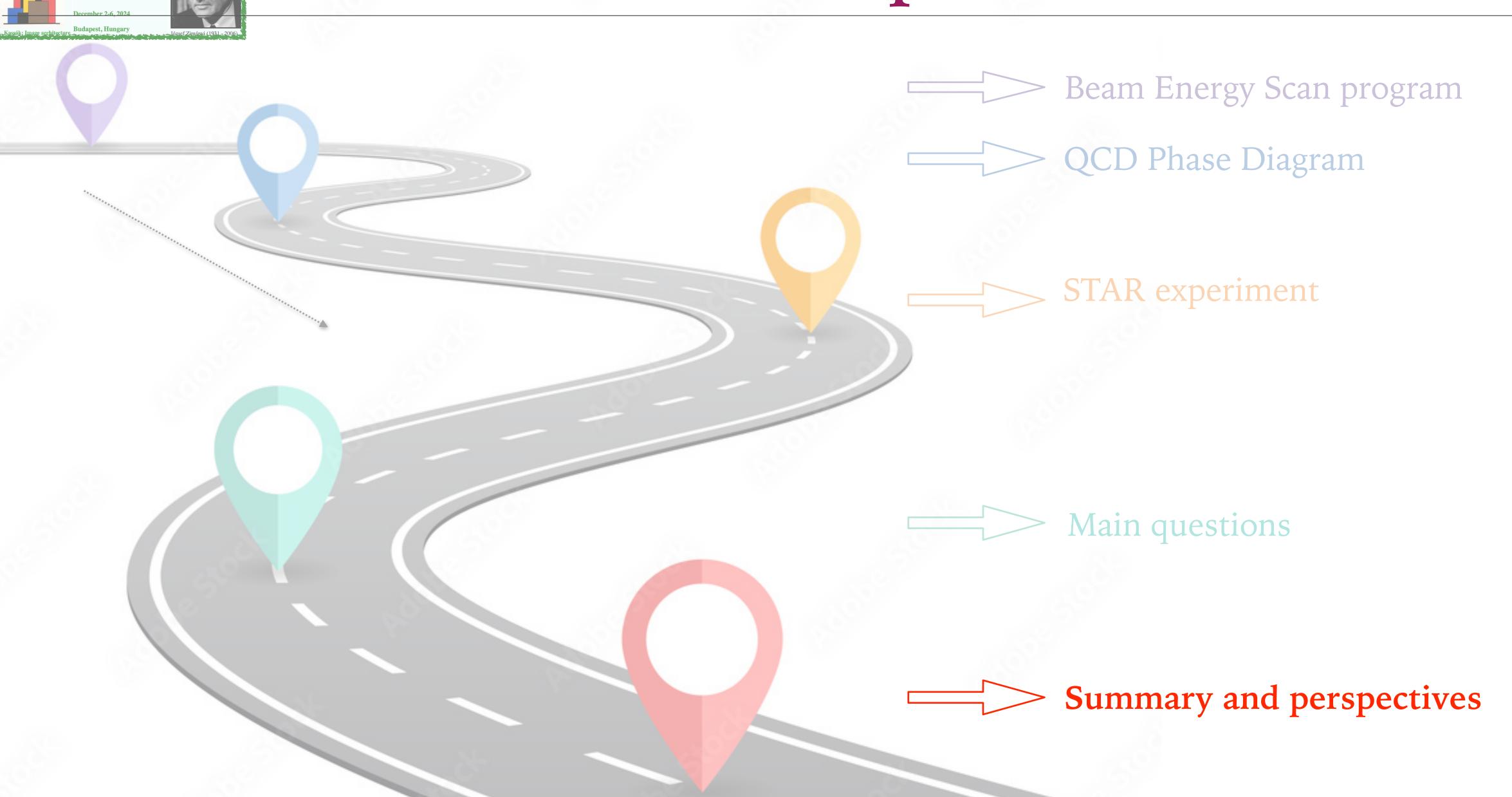
 $C_4/C_2$ : predicts a nonmonotonic energy dependence due to contribution from QCD critical point



- Near the QCD CP the divergence of the correlation length expected
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- Higher moments of conserved quantities measure non-Gaussian nature of fluctuations, and are more sensitive (than e.g. variance) to CP fluctuations (leads to correlation length)
- Non-monotonic energy dependence of net-proton seen as deviation w.r.t to model calculations without CP.
- The suppression of C4/C2 consistent with fluctuations driven by baryon number conservation indicating a hadronic interaction dominated region at  $\sqrt{s_{NN}} = 3 \text{ GeV}$
- The QCD critical point, (if exists in heavy ion collisions), could be located at  $\sqrt{s_{NN}} > 3$  GeV; STAR, PRL 126, 092301 (2021), PRC 104.024902 (2021), PRL 128.202303 (2022)



# Road map





#### Summary from BES

Continue to look for the Critical Point and the first-order phase transition.

High statistics exploration of QCD phase diagram and its key features has already begun

More coming soon (BES-II, SPS, FAIR)

Turn trends and features into definite conclusions

More interesting questions appeared..



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Thank You bon!

Thank attention!

your