



Measurements of Radiation Damage in the CMS Pixel Detector with the First Few Inverse Femtobarns

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On behalf of CMS Pixels

19th RD50 Workshop
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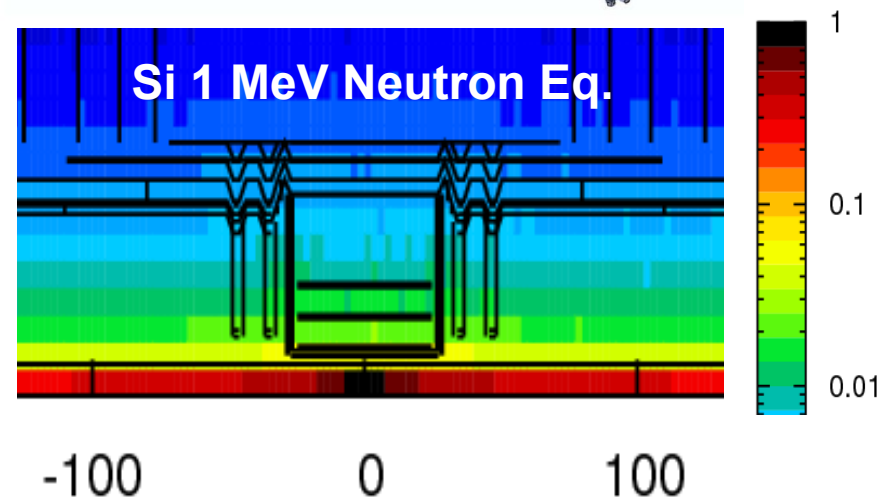
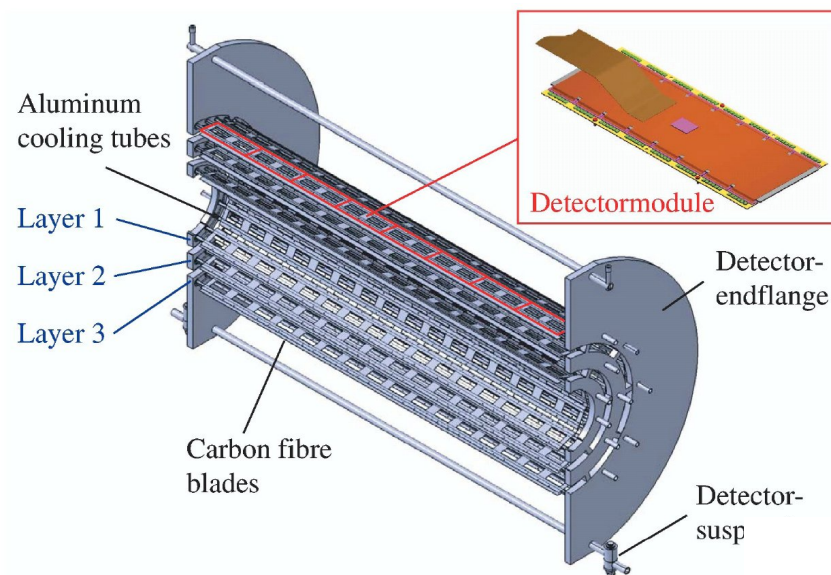


Overview



- Brief Introduction to the CMS Pixel Detector
- Measurement Conventions
- Leakage Current Measurements
 - vs. Time (model comparison)
 - vs. Luminosity
 - vs. Fluence
 - vs. Detector Phi
 - Temperature Scaling: Bulk and Surface (?) Current
- Depletion Voltage Measurements
 - vs. Time (model comparison)

- Three barrel layers:
 - 4.3, 7.2, 10.8 cm
 - 48M pixels, 0.78 m²
- 2x2 disks
 - 18M pixels, 0.28 m²
- This talk: focus on barrel for simplicity
- 2011 operating temperature: 17.2 °C



Smallest unit of HV measurement = 1 Ladder → [-30,0] and [0,30] cm

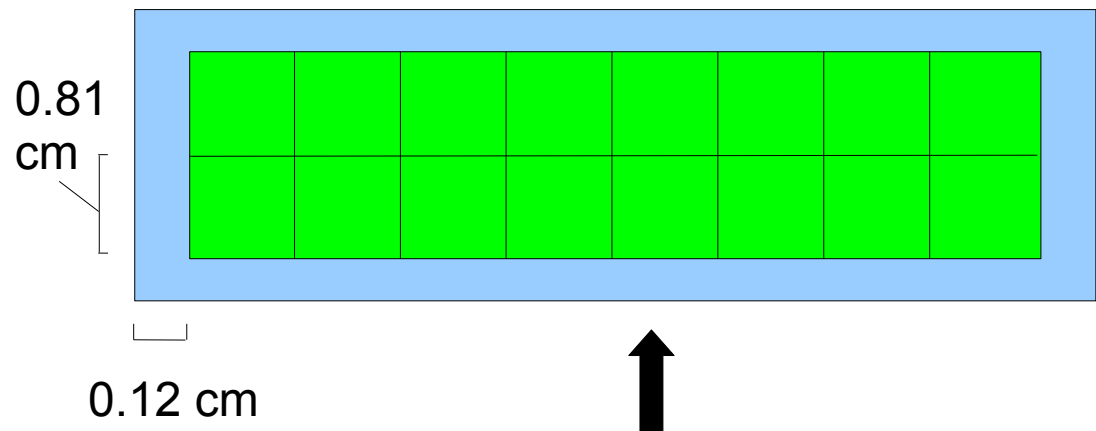
- Following the guidelines of the *Inter-Experiment Working Group on Radiation Damage in Silicon Detectors* . . .

- Current is corrected to 0 °C
 - $E_g = 1.21 \text{ eV}$

$$I(T_{ref}) = I(T) \cdot \left(\frac{T_{ref}}{T}\right)^2 \cdot \exp\left(-\frac{E_g}{2k_B} \left[\frac{1}{T_{ref}} - \frac{1}{T}\right]\right)$$

- Current is measured in $\mu\text{A}/\text{cm}^3$, normalized to the volume of active silicon

- Active Volume =
 (Instrumented Area +
 $\frac{1}{2} \times$ Peripheral Area) \times
 $285 \mu\text{m}$



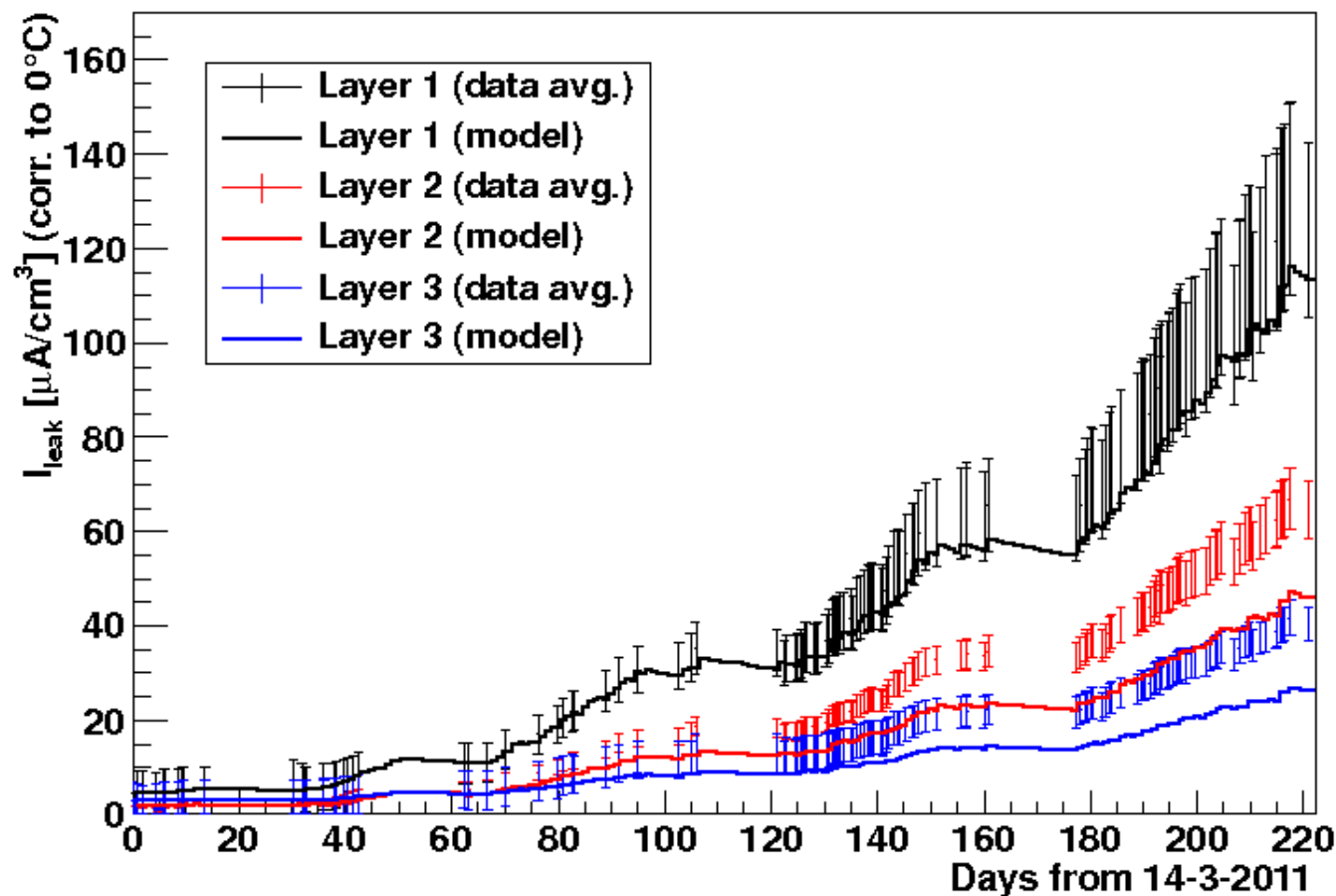
Smallest unit of HV measurement = 1 Ladder = 4 Modules
 = 4x16 Read-Out Chips (ROCs) \rightarrow 0.81 cm x 0.81 cm



I_{leak} During 2011

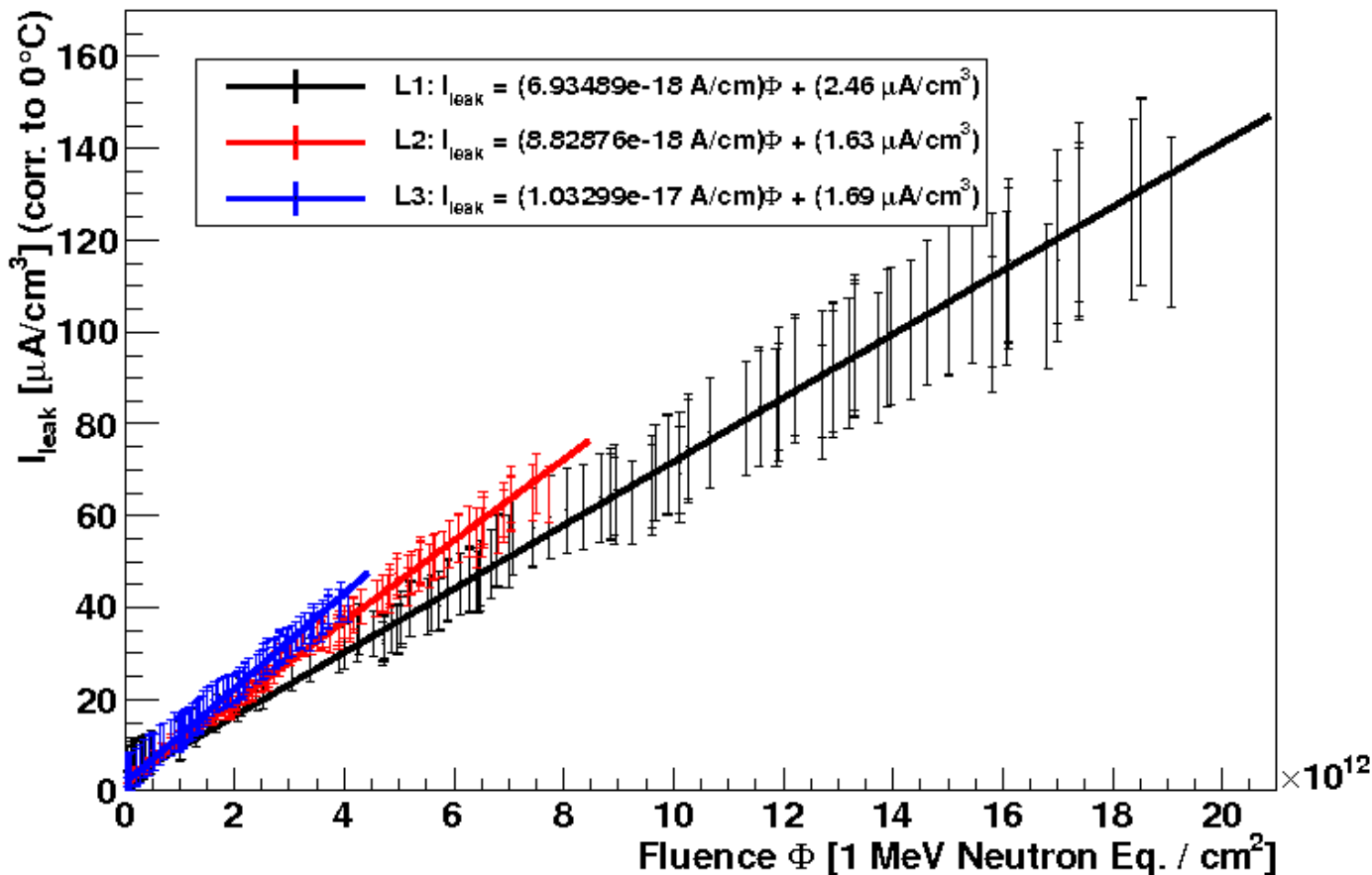


- Midpoint:
mean over
entire layer
- Errors bars:
RMS
deviation
- Model
comparison:
See talk by C.
Barth, this
session
- Model uses
 $z = 0$, mean r



- Fair agreement for Layer 1
- Factor of ~ 2 for Layers 2 and 3

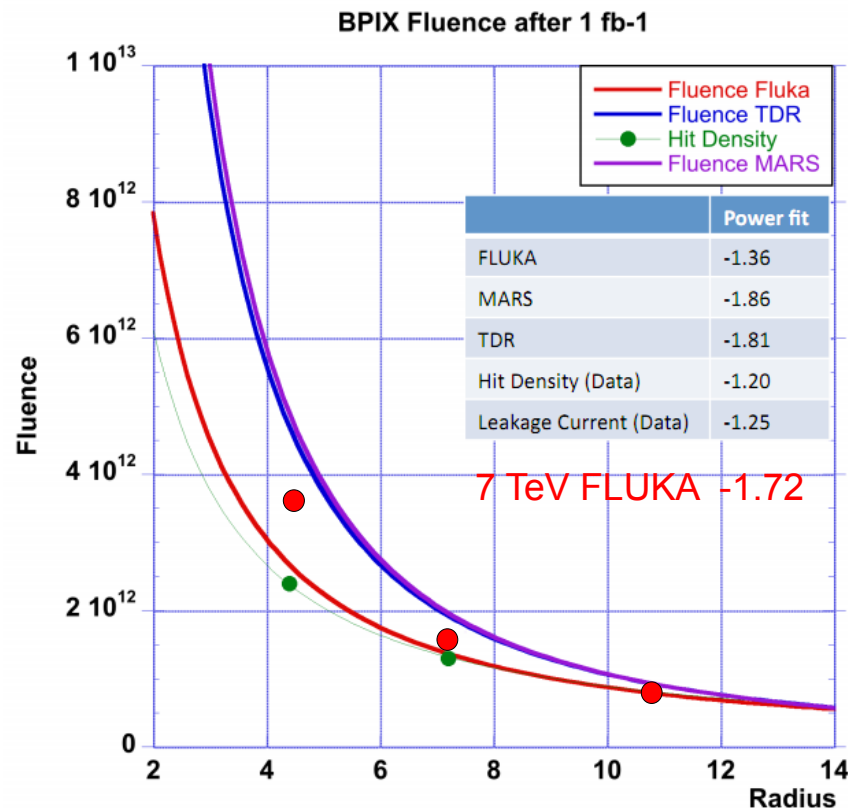
I_{leak} vs. Fluence



$$I_{\text{leak}} / \text{Vol.} = \alpha \Phi$$

- Fit “measures” α as a consistency check...
- $\alpha(20^\circ\text{C}) \sim 4\text{e-}17 \text{ A/cm} \rightarrow \alpha(0^\circ\text{C}) \sim 6\text{e-}18 \text{ A/cm}$

- Culprit could be...
 - Fluence?
 - Wide range of predictions
 - Using hit density instead of 7 TeV FLUKA → all three layers would disagree as much as L3 currently does!
 - Model?
 - α is too well known to allow disagreement seen in simple I vs. Fluence fit
 - Assorted 10% effects: z-dependence, r-dependence ionization current, ...?



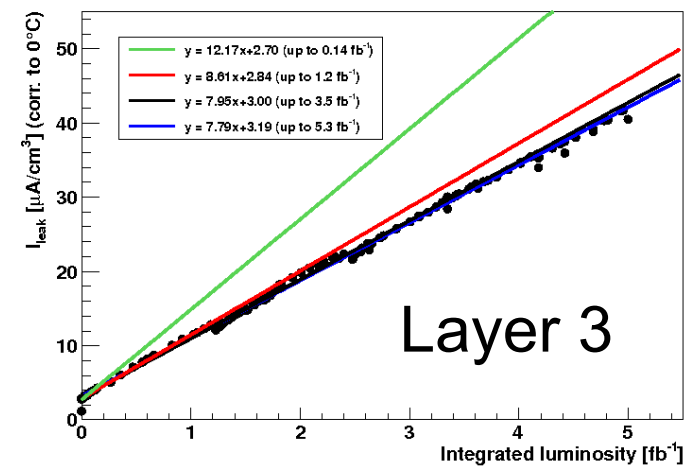
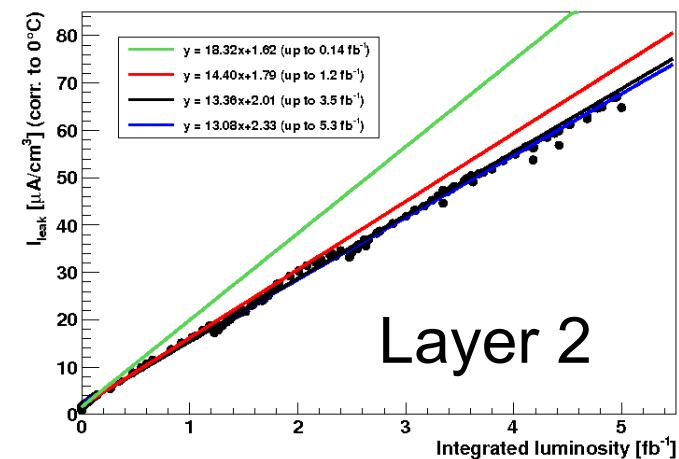
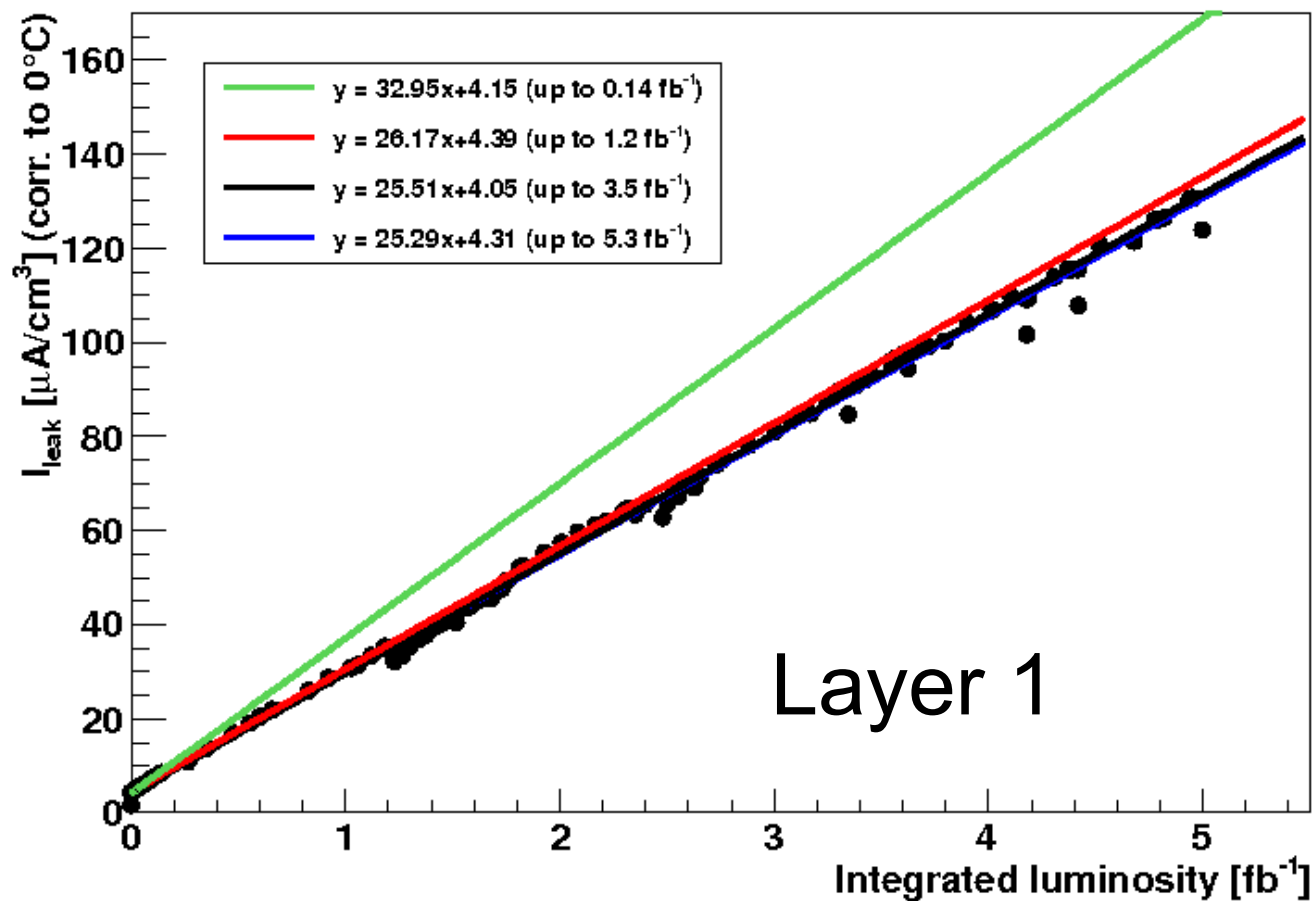
Red Points: 7 TeV Fluka
(+ Radial Interpolation)
Red Line: scaled 14 TeV Fluka
Hit density measurement:
O(600 MeV) pions dominate
These have a 1 MeV neutron
equivalence ~ 1



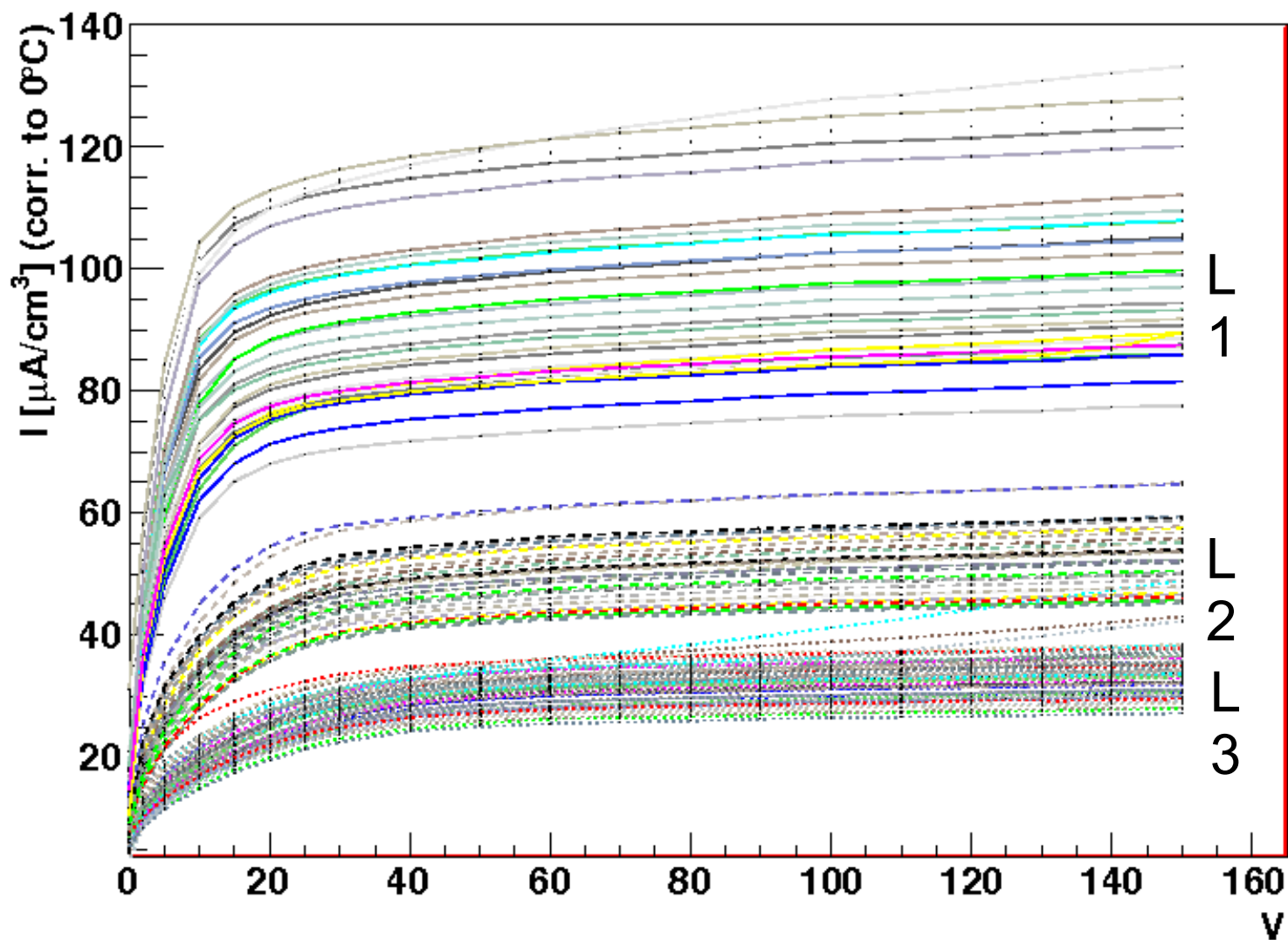
I_{leak} vs. Luminosity



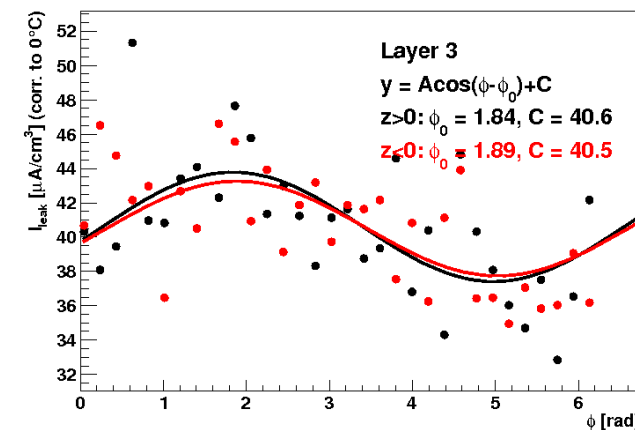
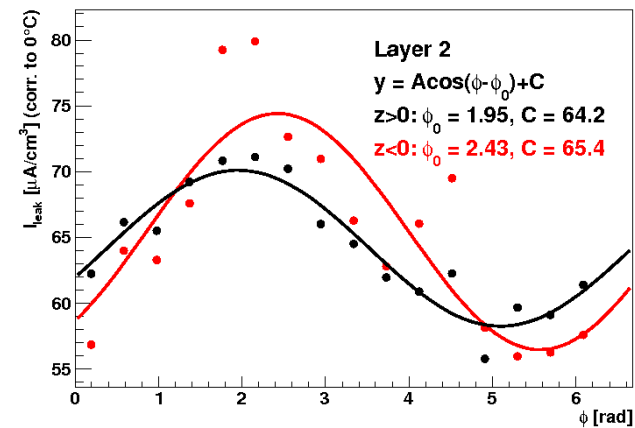
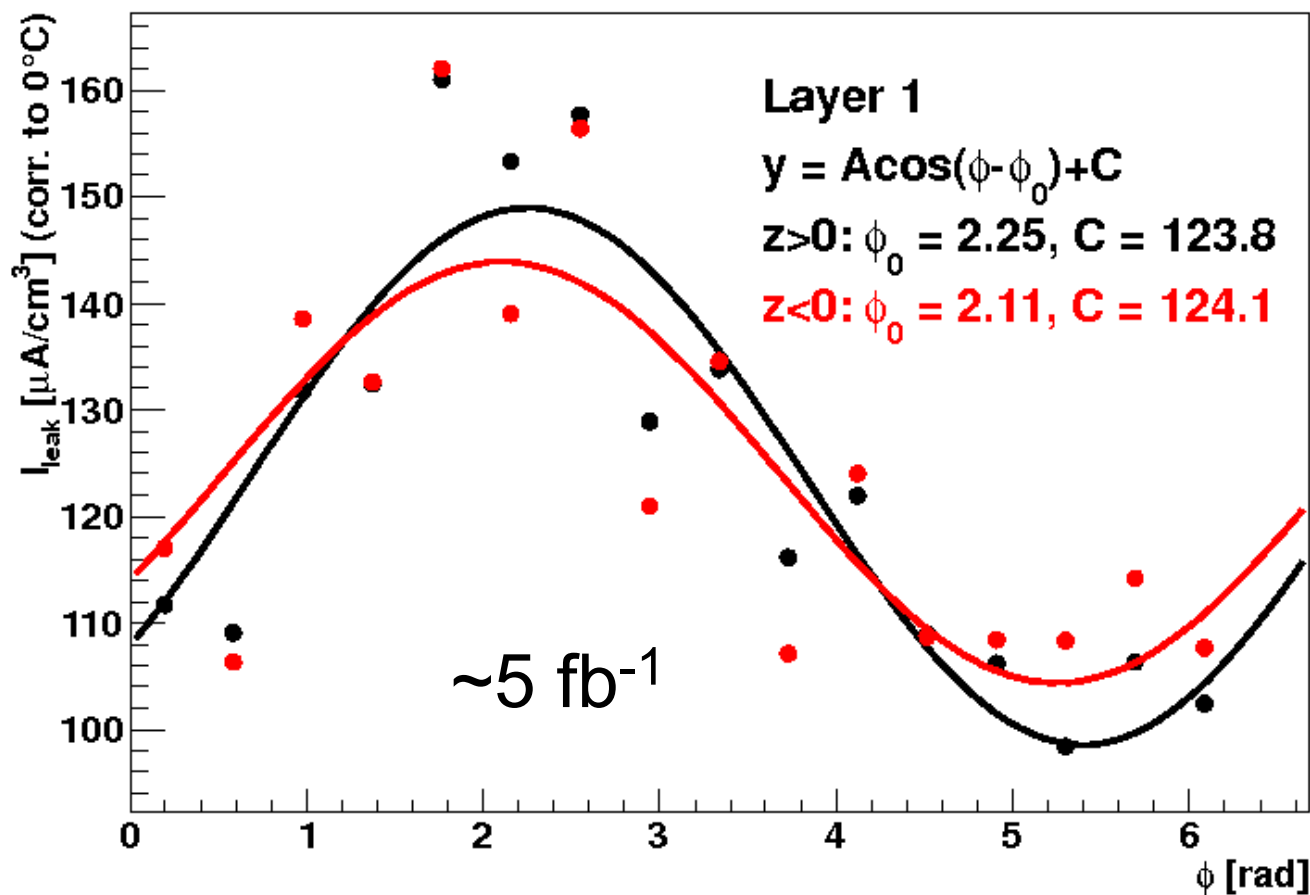
- Detector operations: most interested in extrapolation vs. lumi
- I_{leak} exceeds power supply and readout capabilities at $\sim 750 \text{ fb}^{-1}$



IV Curves



I_{leak} vs. Detector Phi

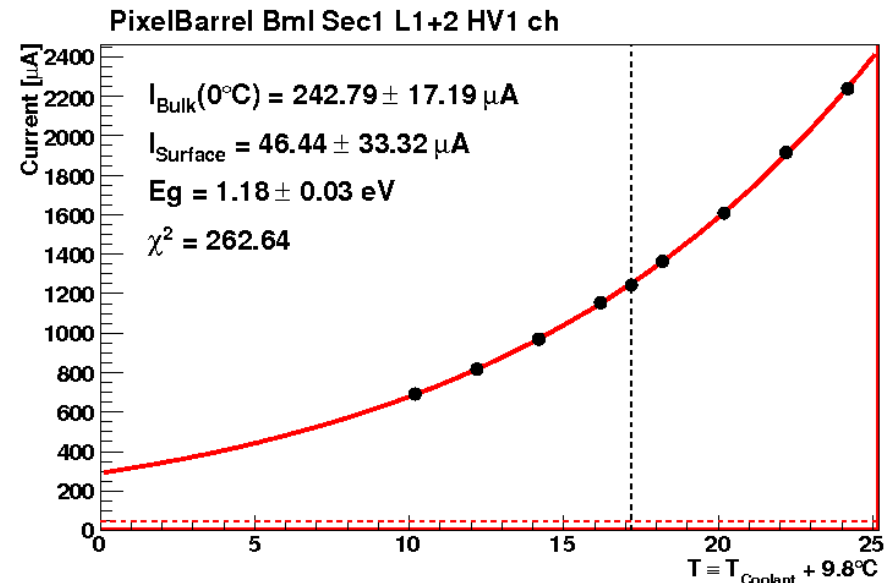
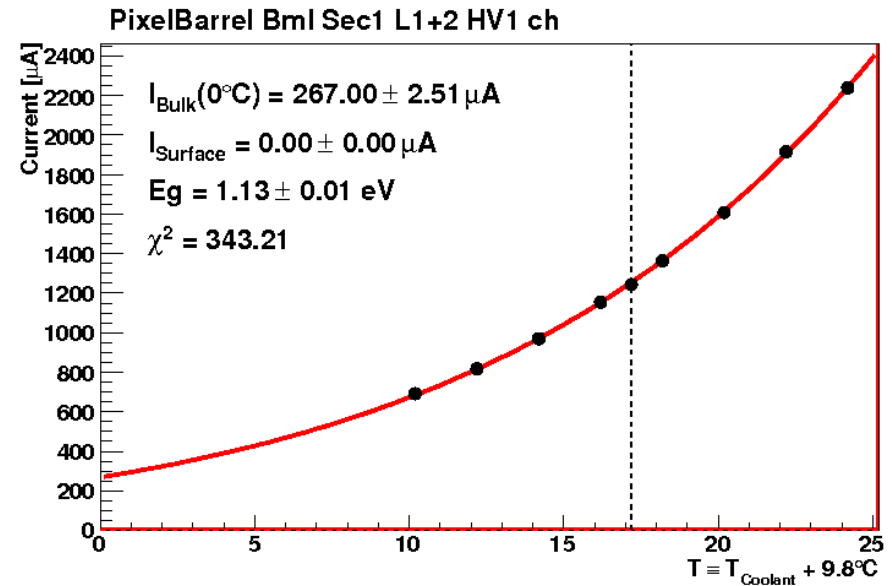


- LHC Beam Spot is not at center of Pixel Detector!
- Known to be at $(x,y) = (-2.4\text{mm}, 3.9\text{mm}) \rightarrow \phi \sim 2.12$
- 30% effect on potential Layer 1 lifetime!
- Can also see impact of staggered geometry



Temperature Scaling (1)

- Investigate Temperature scaling of I_{leak} by fitting scans
- Let effective band gap E_g vary (should be 1.21 eV)
- Try allowing T-independent surface term – should correspond to ohmic behavior in IV curve after saturation
 - Following LHCb talk (P. Collins) at 1st LHC Rad. Dmg. IEWG mtg
- Long extrapolation (17.2 °C operation temperature to 0 °C) → significant impact

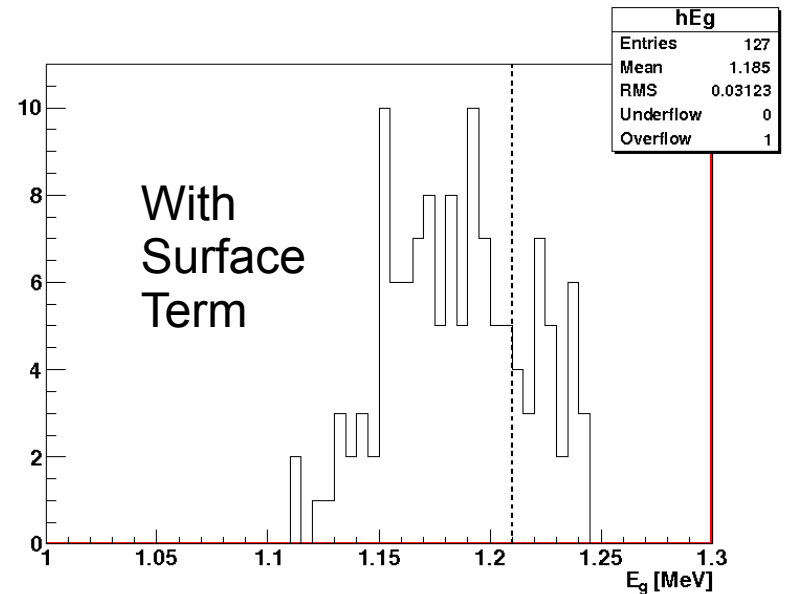
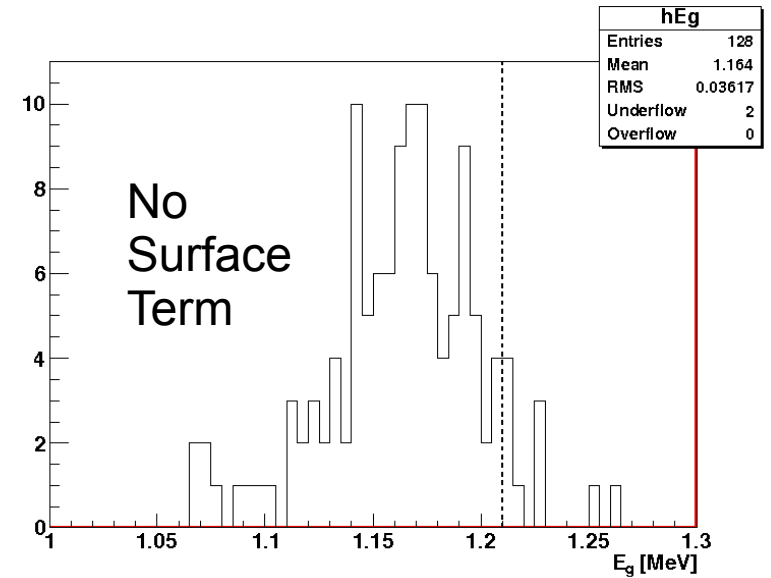
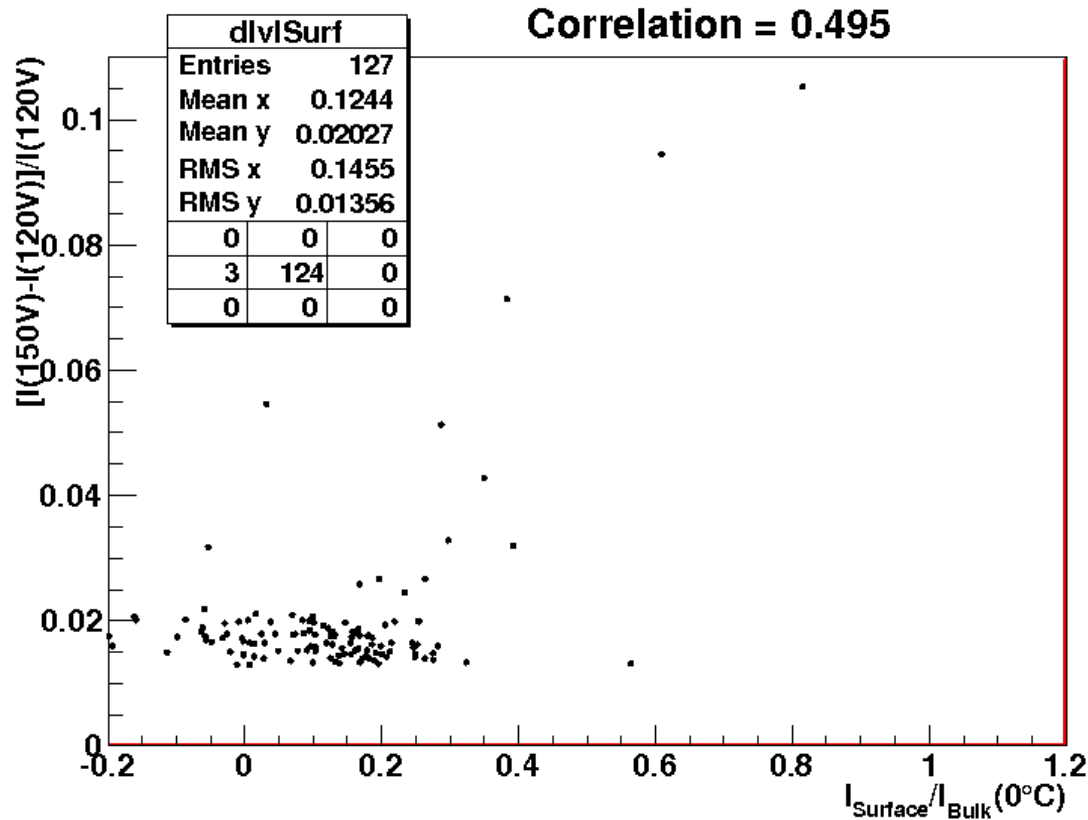




Temperature Scaling (2)

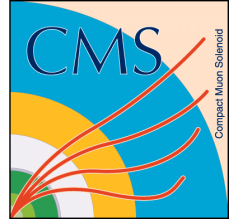


- “Surface Term” somewhat improves fits and E_g values
- Few channels show correlation b/w T-independent term and “Ohmic behavior”
- So this term not used elsewhere in talk

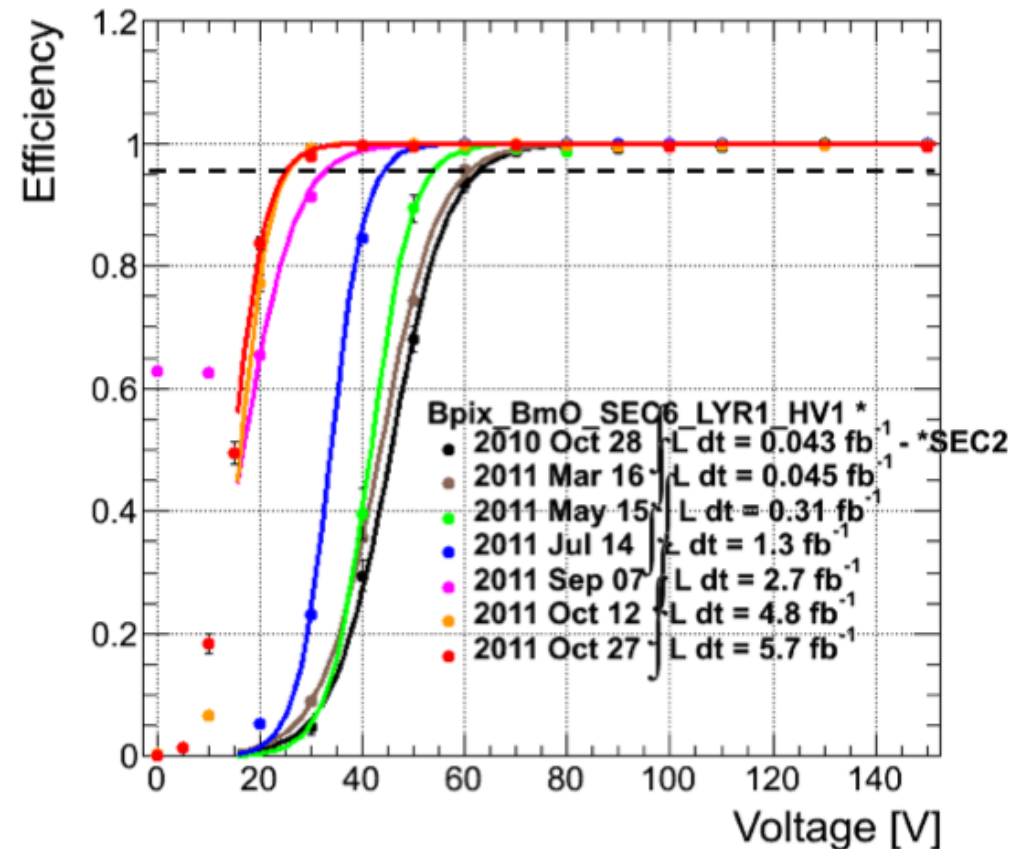




V_{dep} from Hit Efficiency

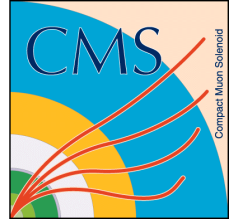


- Reduce voltage of selected channel during operation and observe impact on hit efficiency
- Take voltage corresponding to 95% hit efficiency $V_{95} \sim V_{\text{dep}}$
- Very preliminary work (not shown today) fitting cluster charge vs. voltage: agrees qualitatively with this method

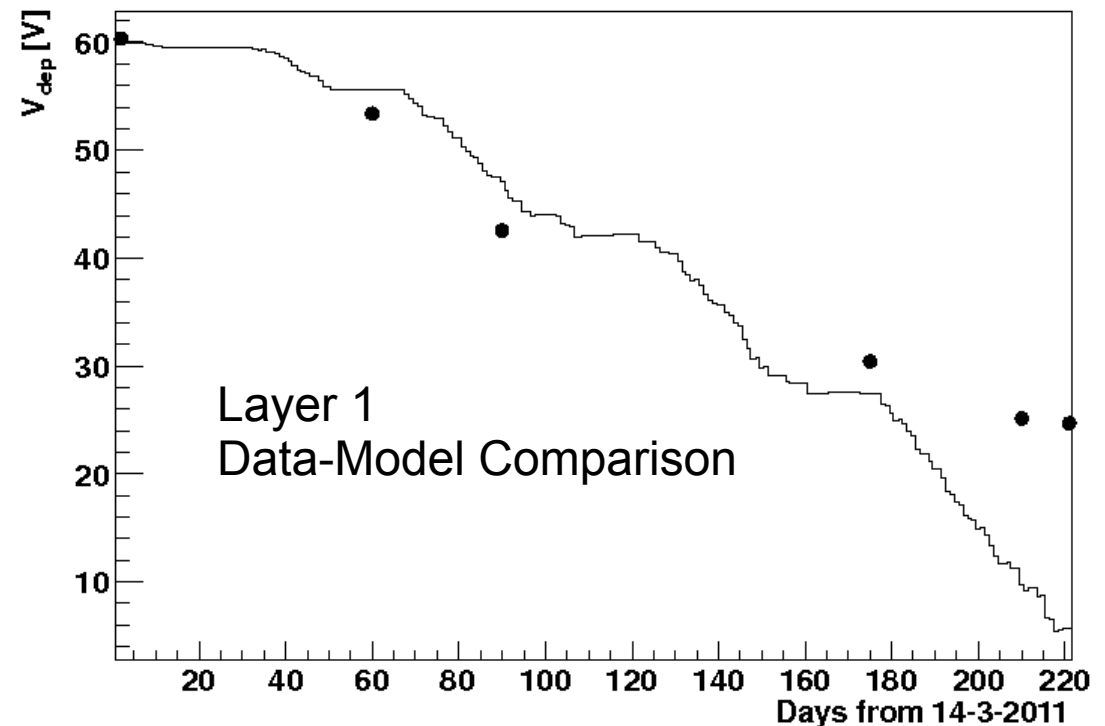
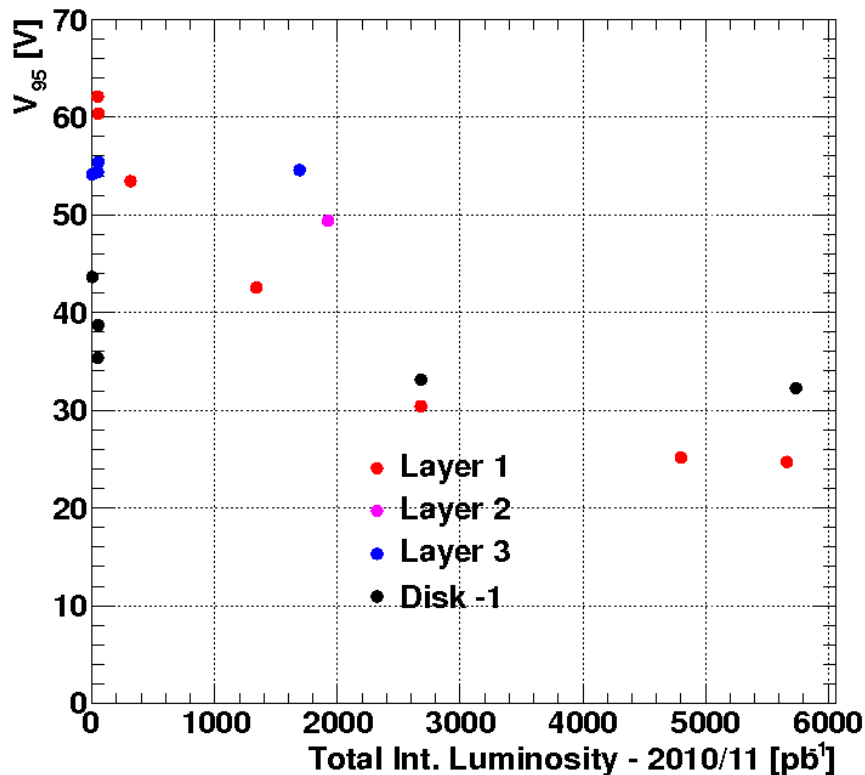




V_{dep} Results & Comparisons



- Compared to calculations with same model as I_{leak} comparison
- Good agreement up to the last part of the year, with divergence at end of run as model $\rightarrow 0V$
- Follow through “type inversion” next year – critical operational question is how voltage will *increase* as compared with models





Conclusions



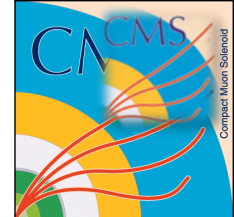
- No big surprises so far
- Many small improvements to be studied:
 - Channel-by-channel temperature
 - Position: average over ladders in z, add disks and average in r, improve model grid radial interpolation
 - Reconcile hit density with fluence models
 - Finalize depletion voltage from Landau curves
- Questions for experts
 - Comments on model-data agreement?
 - Best temperature for shutdown? On or off?
 - Suggestions for new or improved measurements?
- We are in early days yet!



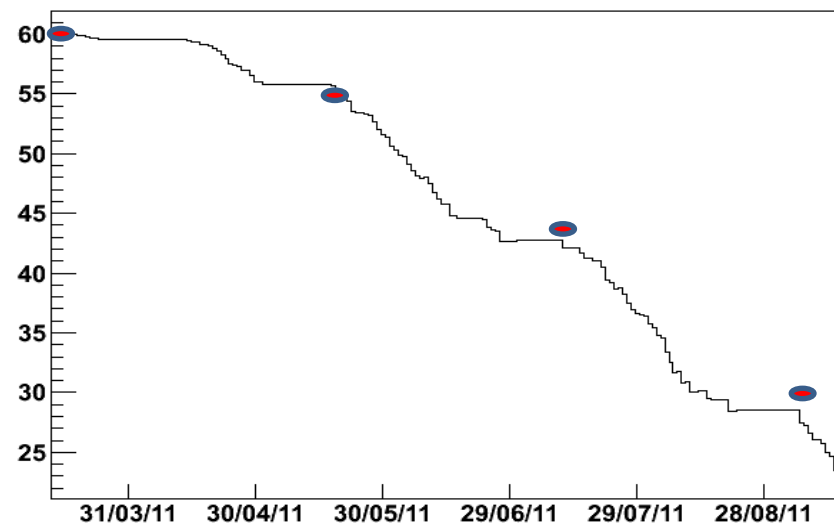
Extras



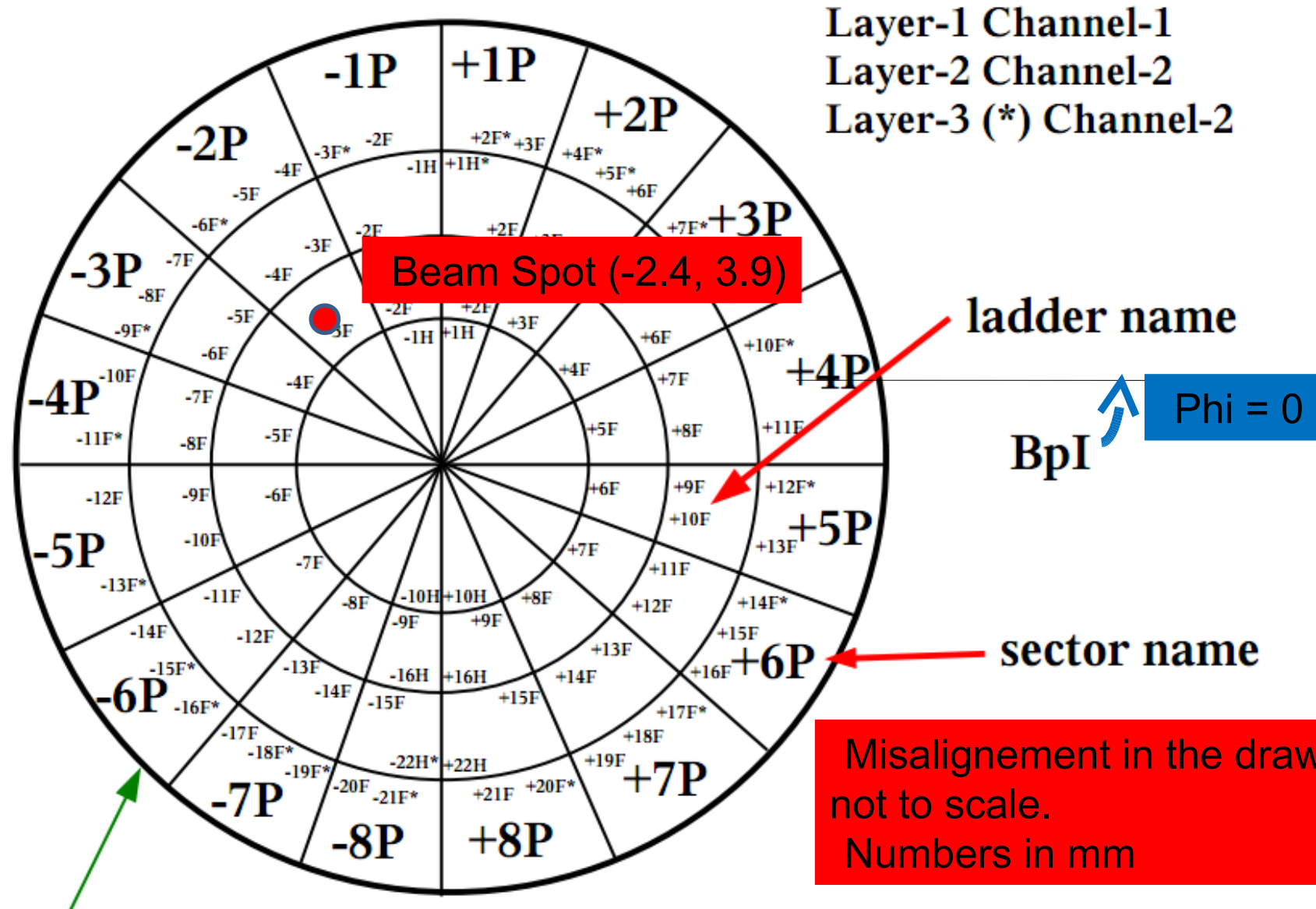
Old Vdep Plot

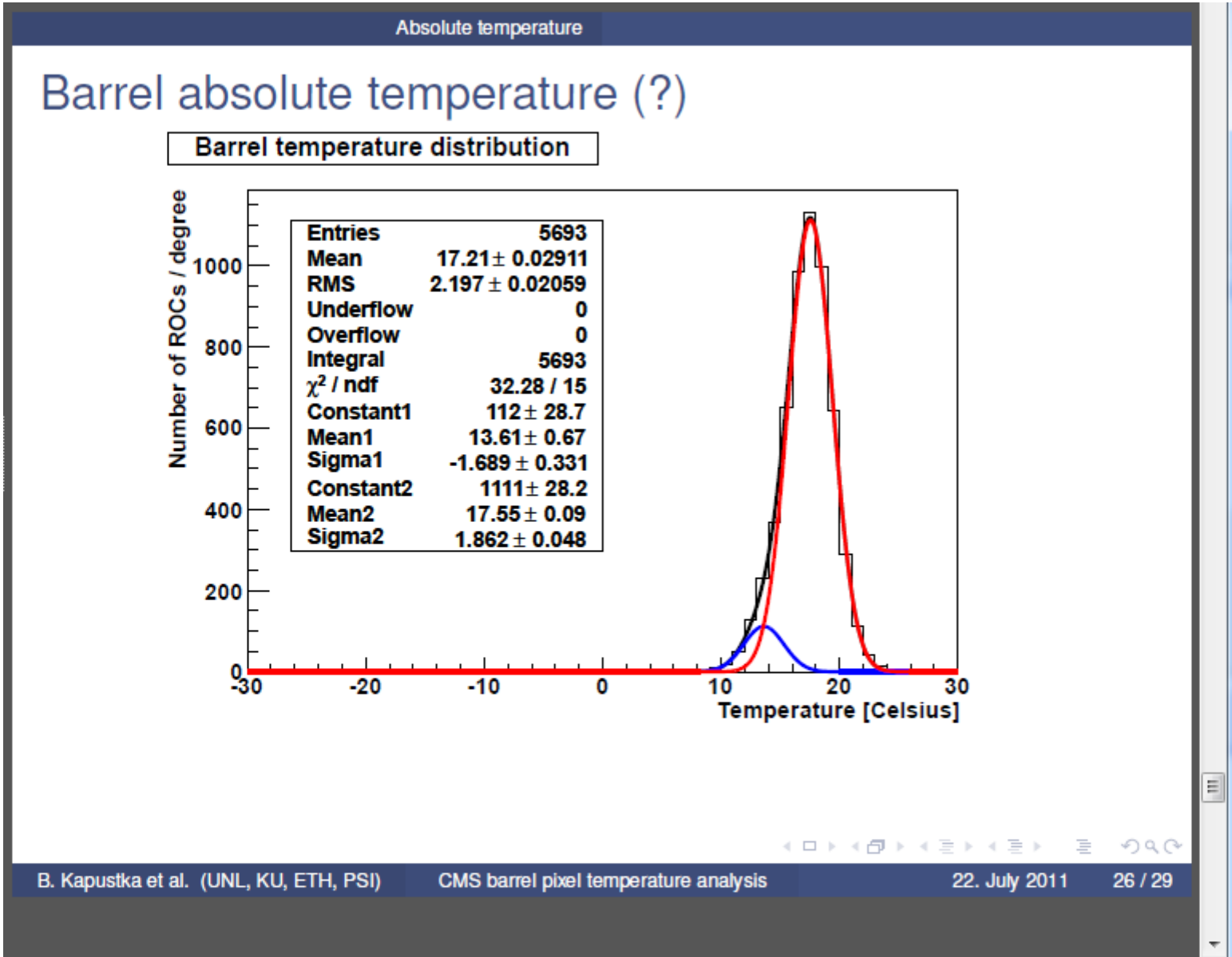


Simulated V_dep Evolution for Pixel Layer1



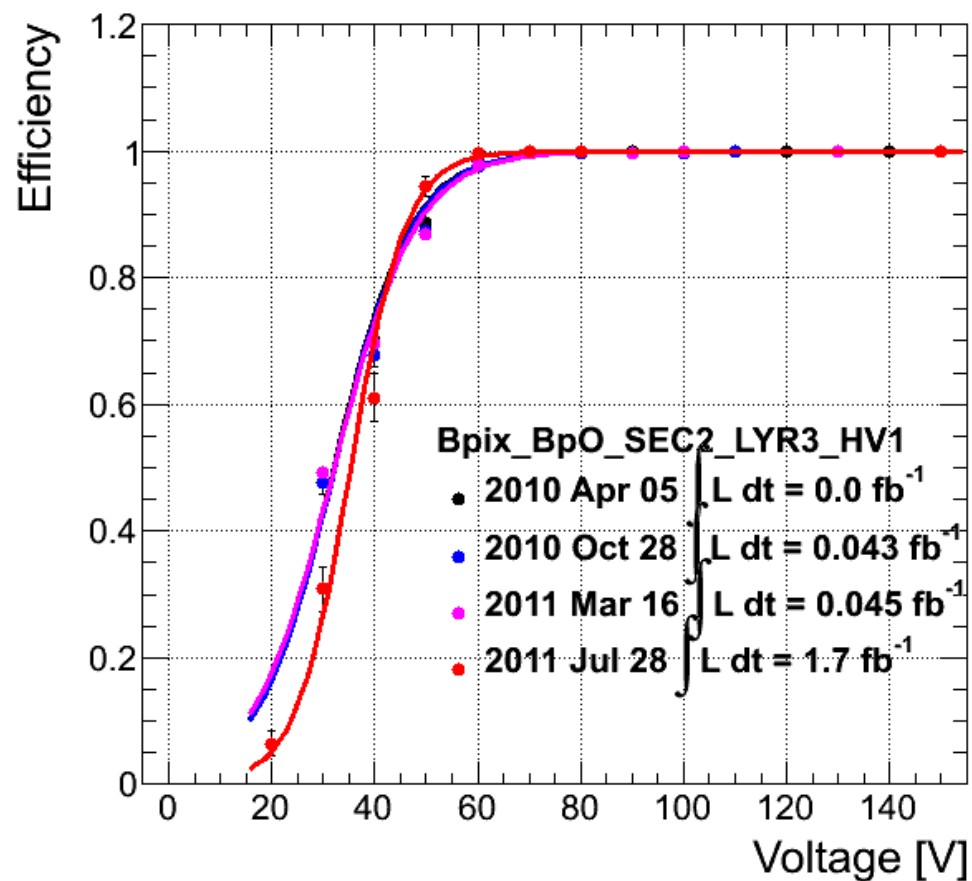
- Previous scaled 14 TeV,
- No (?) radial interpolation







Layer 3 V_{95}



Parameters used for Simulation

- Leakage Current:
 $I = \alpha \phi V$

Time independent but temperature dependent term not clear in T-changing environment. Interpretation to be a “instantaneous” annealing effect -> max T of corresponding annealing time taken (?)

with $\alpha = 1.23e-17 \text{ A/cm} \exp(-t_1/\tau_1) \exp(-t_2/\tau_1) \dots$
 $+ -8.9e-17 \text{ A/cm} + 4.6 \text{ AK/cm} e^{-14/T}$
 $+ 3.07e-18 \text{ A/cm} \ln(t/t_0)$

and $1/\tau_1 = 1.2e13 \exp(-1.12/2k_B T) * (60*60*24) \text{ 1/day}$

- Temperature scaling:
 $(T_1/T_2)^2 \exp(-1.12/2k_B (1/T_1 - 1/T_2))$

C. Barth

also started simulations with $E=1.21\text{eV}$ according to Technical Note by A.Chilingarov

Parameters used for Simulation

All orange highlighted values are taken from measurements (-> Ph.D. Thesis A. Dierlamm 2003)

- Full depletion voltage:

$$N_{\text{eff}} = N_A + N_C + N_Y$$

$$\text{with: } N_A = g_a \exp(-t_1/\tau_a) \exp(-t_2/\tau_a) \dots$$

$$N_C = 0.9 |N_{\text{eff}0}| *$$

$$(1 - \exp(-10.9e-2/|N_{\text{eff}}|)) + g_c$$

$$N_Y = -g_Y (1 - 1/(1+t_1/\tau_Y) 1/(1+t_2/\tau_Y) \dots)$$

$$\text{and } g_a = 1.81e-2 \text{ 1/cm}, g_Y = 5.16e-2 \text{ 1/cm},$$

$$g_c = 1.6e-2 \text{ 1/cm}$$

$$\tau_a = 1/(2.3e13 \exp(-1.08/k_B T))$$

$$\tau_Y = 1/(1.5e15 \exp(-1.33/k_B T))$$

C. Barth