

Extra dimension searches in central exclusive production

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II Workshop on Diffractive Physics at the LHC
CBPF - 2011



Summary

- 1 Introduction
- 2 Extra Dimensions
- 3 Central Exclusive Production
- 4 Results
- 5 Conclusions



Motivations

- BSM physics searches in LHC (ATLAS & CMS)
- **Extra dimensions** (ED) as solution of hierarchy problem
- Different scenarios: RS & ADD
- Central Exclusive production (CEP): clear sign in colliders with 2 rapidity gaps, projectiles outside of central region; low background
- CEP mechanisms:
 - gluon fusion
 - photon fusion



This talk:

CEP of gravitons, radions and ZZ in LHC hadron collisions

- pp
- pPb & $PbPb \Rightarrow$ nuclear effects

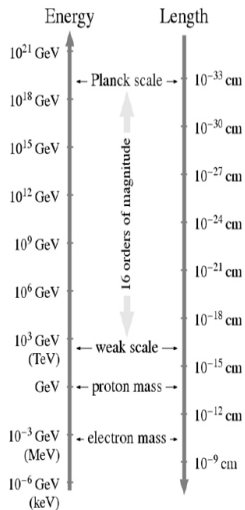
$$h_1 h_2 \rightarrow h_1 \oplus \{G_n, \Phi, ZZ\} \oplus h_2$$

Hierarchy solution

The hypothesis:

Many dimensions universe: we are in a “*brane*” embedded in the “*bulk*”

The gravity is weak in the brane because is dilute in the bulk



ED scenarios

Arkani-Hamed, Dimopoulos e Dvali;

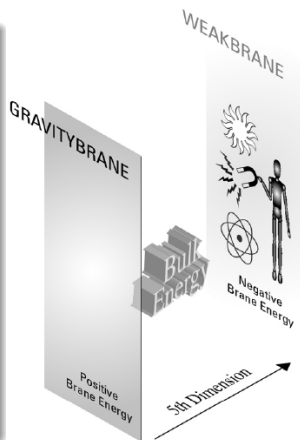
- Two D-branes separate by n flat especial dimensions (torus)
- Standart Model particles in our brane. Only the graviton “see” the other brane
- Rescales the unification scale in TeV order
- Kalusta-Klein tower of graviton states: very close ones
- Introduces an another hierarchy scale



ED scenarios

Randall & Sundrum

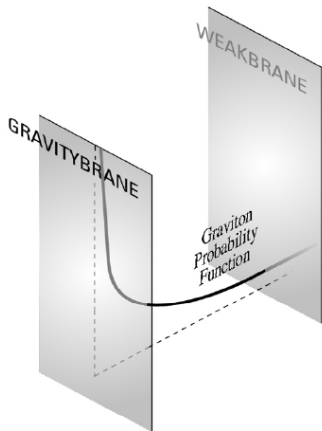
- Two (3+1) branes separate by one ED
- Pentadimensional anti-De Sitter space time
- “*Warped*” bulk depends on the distance from our brane



ED scenarios

Randall & Sundrum

- Two (3+1) branes separate by one ED
- Pentadimensional anti-De Sitter space time
- “*Warped*” bulk depends on the distance from our brane
- Gravitons away from our brane = weak gravity; KK states tower with defined mass values
- **Radion**: excited state of metric tensor, gravi-scalar, signal similar to the Higgs boson



CEP Models

In the literature:

1 gluon fusion:

- Khoze, Martin, Ryskin (KMR or “*Durham Model*”);
- Bialas, Landshoff *et al.* (“*Saclay Model*”);
- Cudell *et al.*
- Szczurek *et al.*

2 photon fusion:

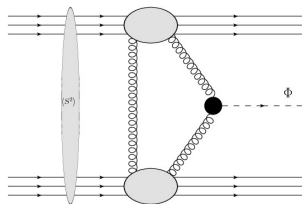
- Equivalent photon approximation (Weisäker/Williams);

Gluon fusion: Durham model

Total cross section:

$$\sigma_{tot} = \int dy \langle \mathcal{S}^2 \rangle \mathcal{L}_{excl} \frac{2\pi^2}{m_R^3} \Gamma(\Phi, G \rightarrow gg)$$

- $\langle \mathcal{S}^2 \rangle$: survival probability gap (SPG);
- \mathcal{L}_{excl} effective luminosity
- Γ resonance decay width in two gluons



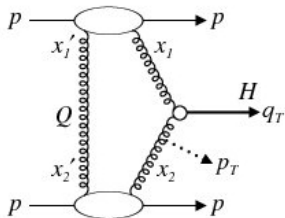
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$$\mathcal{L}_{excl} = \left[\frac{\pi}{8b} \int_{Q_0^2}^{\infty} \frac{dQ_T^2}{Q_T^4} f_g(x_1, x'_1, Q_T^2, m_R^2/4) f_g(x_2, x'_2, Q_T^2, m_R^2/4) \right]^2$$



Gluon fusion: Durham model

- f_g : non-integrated, non-diagonal, skewed gluon density in the nucleon

$$f_g(x, x', Q_T^2, \mu^2) = R_g \frac{\partial}{\partial \ln Q_T^2} \left[\sqrt{T(Q_T, \mu)} xg(x, Q_T^2) \right]$$

- $R_g \simeq 1.2$: skewness
- $xg(x, Q_T^2)$: integrated gluon distribution (CTEQ6L)
- $T(Q_T, \mu)$: Sudakov factor (suppression of hard emissions)

$$T(Q_T, \mu) = \exp \left\{ - \int_{Q_T^2}^{\mu^2} \frac{dk_t^2}{k_t^2} \frac{\alpha_S(k_t^2)}{2\pi} \int_0^{1-\Delta} dz \left[z P_{gg}(z) + \sum_q P_{qg} \right] \right\}$$

- $P_{ij}(z)$: splitting functions

-

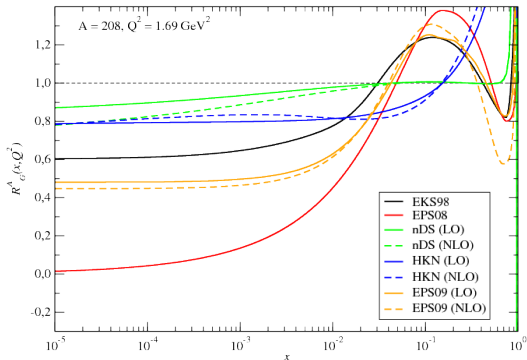
$$\Delta = \frac{k_t}{k_t + \beta}$$



Gluon fusion: nuclear effects

Gluons distribution:

We using $xg(x, Q_T^2) \rightarrow xg_A(x, Q_T^2) = AR_g^A(x, Q_T^2)xg_p(x, Q_T^2)$



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Gluon fusion: SPG & Γ

SPG:

- SPG is a open question; process dependent
- Estimatives for nuclear SPG;
 - Conservative choice \Rightarrow 3% for pp LHC energies
 - Levin/Miller: $\langle S^2 \rangle = 8 \times 10^{-4}$ (8.16×10^{-7}) for pAu ($AuAu$);
 - “Naïve” nuclear model : $\langle S^2 \rangle_{A_1 A_2} = \langle S^2 \rangle_{pp} / (A_1 A_2)$.

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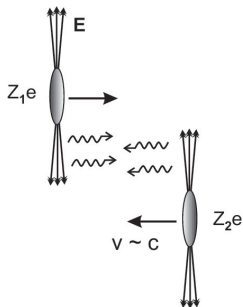
Decay Width:

$$\Gamma[\Phi \rightarrow gg] = \frac{\alpha_s^2 m_\Phi^3}{32\pi^3 \Lambda_\phi^2} \left| \frac{15}{3} + x_t [1 + (1 - x_t) f(x_t)] \right|^2 .$$

$$\Gamma[G \rightarrow gg] = \frac{1}{10\pi} x_1^2 \left(\frac{k}{M_{\text{Pl}}} \right)^2 m_G$$

Photon fusion

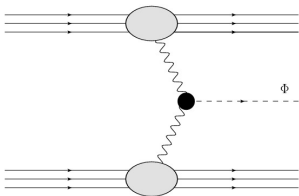
- large impact parameters and ultrarelativistic energies
- electromagnetic interactions
- factorization \Rightarrow EPA



$$\sigma_{AB \rightarrow ARB} = \int_0^\infty \frac{d\omega_A}{\omega_A} \int_0^\infty \frac{d\omega_B}{\omega_B} F(\omega_A, \omega_B) \sigma_{\gamma\gamma R}(\omega_A, \omega_B) \quad (1)$$

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- $F(\omega_1, \omega_2)$ is the photon “folded” spectrum,

$$F(\omega_A, \omega_B) = 2\pi \int_{R_A}^\infty b_1 db_1 \int_{R_B}^\infty b_2 db_2 \int_0^{2\pi} d\phi N_A(\omega_A, b_1) N_B(\omega_B, b_2) \\ \times \Theta(b - R_A - R_B),$$

with $b^2 = b_1^2 + b_2^2 - 2b_1 b_2 \cos \phi$; $R_{A,B} = 1,2 \text{ fm}$ $A^{1/3}$ ($R_p = 0,7 \text{ fm}$).

Photon fusion

- Weizsäcker-Williams photon spectrum:

$$N(\omega) = \frac{2\alpha_{em}Z^2}{\pi\omega\beta^2} \left\{ \xi K_0(\xi)K_1(\xi) - \frac{1}{2}\beta^2\xi^2 [K_1^2(\xi) - K_0^2(\xi)] \right\}, \quad (2)$$

$\xi = \omega b_{\min}/\gamma\beta$, β is hadron speed, γ is Lorentz factor, b_{\min} minimum impact parameter

- Sub-process cross section

$$\sigma_{\gamma\gamma R}(\omega_A, \omega_B) = \int ds \delta(4\omega_A\omega_B - s) \times \frac{8\pi^2}{m_R} \Gamma_{R \rightarrow \gamma\gamma} \delta(s - m_R^2)$$

- Decay width (radion):

$$\Gamma(\Phi \rightarrow \gamma\gamma) = \frac{\alpha_{em}^2 m_\Phi^3}{256\pi^3 \Lambda_\Phi^2} \left| \frac{19}{6} - \frac{41}{6} - [2 + 3x_W + 3x_W(2 - x_W)f(x_W)] \right. \\ \left. + \frac{8}{3}x_t[1 + (1 - x_t)f(x_t)] \right|^2, \quad x_{W,t} = \frac{4m_{W,t}^2}{m_\Phi^2}$$



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- Decay width (graviton):

$$\Gamma(G_n \rightarrow \gamma\gamma) = \frac{1}{80\pi} x_1^2 \left(\frac{k}{\bar{M}_{\text{Pl}}} \right)^2 m_G$$

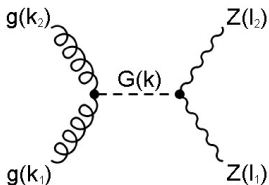
Double Z boson

- Suppressed in SM: two electroweak couplings, large ZZ production threshold ; gluon fusion, in one loop level
- Angular distribution \Leftrightarrow resonance spin
- Gluon fusion (KMR)

$$\sigma_{tot} = \int dy \int \frac{dM^2}{M^2} \langle S^2 \rangle \mathcal{L}_{excl} \hat{\sigma}(gg \rightarrow ZZ)$$

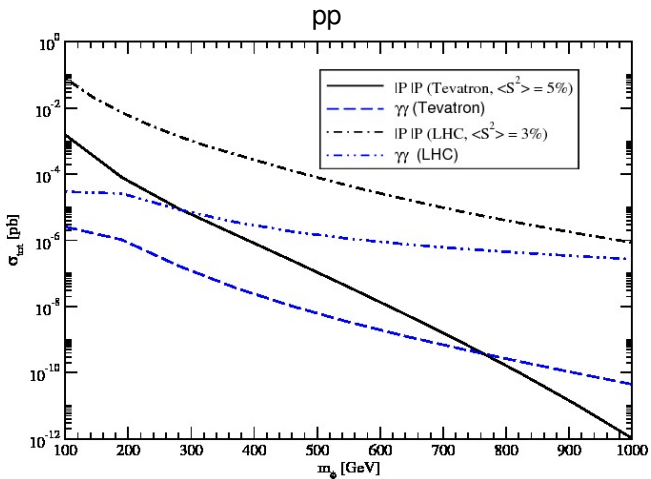
- Virtual graviton exchange in ADD scenario (Kober *et al.*); tree level

$$\hat{\sigma}(gg \rightarrow ZZ) = \frac{\sqrt{\hat{s}(\hat{s} - 4m_Z^2)} P(\hat{s}, m_Z)}{120\pi^{1-d} m_Z^4 M_D^4 \Gamma^2(d/2)}$$



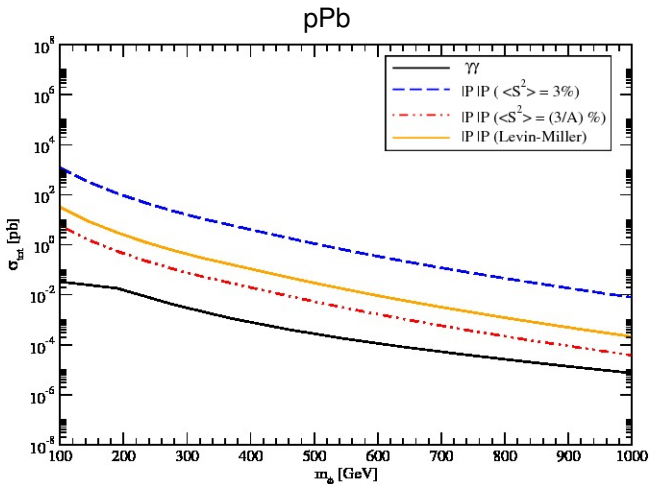
Radion

Mass dependence



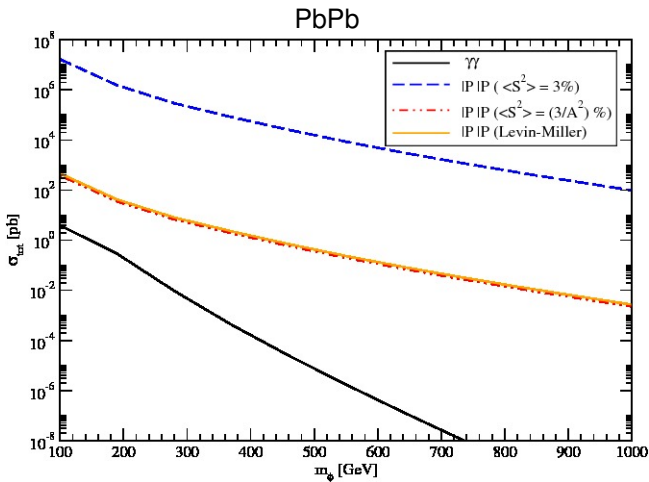
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Mass dependence



Radion

Mass dependence



Radion & Graviton

One year number of events, LHC energies

	$\gamma\gamma$	gg
pp	3.0	700
pPb	4.5×10^{-3}	9×10^{-2}
	3	60
$PbPb$	2.5×10^{-4}	3.5×10^{-1}

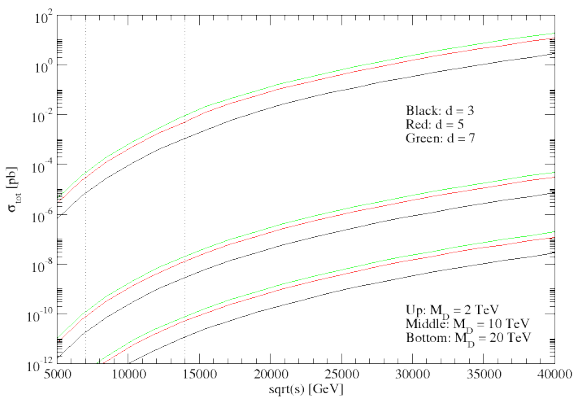
Graviton:

$k/\overline{M}_{\text{Planck}} \sim 0,01$, $m_G = 1,0 \text{ TeV}$, LHC energies:

σ_{tot}	$\gamma\gamma$	$\langle S^2 \rangle$	gg
$pp (\sqrt{s} = 14,0 \text{ TeV})$	$1,2 \times 10^{-9} \text{ pb}$	3%	$3,7 \times 10^{-7} \text{ pb}$
$pPb (\sqrt{s} = 8,8 \text{ TeV})$	$2,1 \times 10^{-4} \text{ pb}$	3%	$3,3 \times 10^{-3} \text{ pb}$
		$3\%/A^2$	$1,6 \times 10^{-5} \text{ pb}$
$PbPb (\sqrt{s} = 5,5 \text{ TeV})$	$2,2 \times 10^{-10} \text{ pb}$	3%	$1,5 \times 10^{+1} \text{ pb}$
		$3\%/A^2$	$3,4 \times 10^{-4} \text{ pb}$

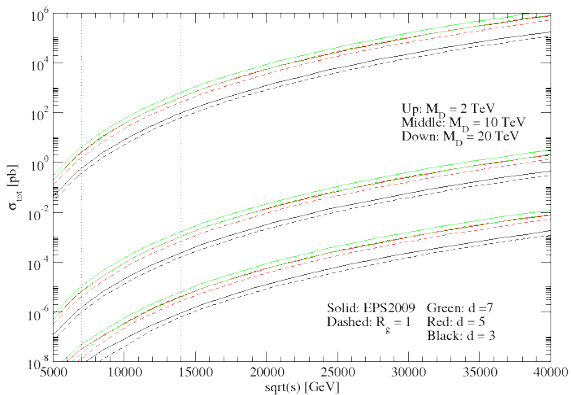
Double Z boson

$$pp \rightarrow p Z Z p$$



Double Z boson

$$PbPb \rightarrow Pb ZZ Pb$$



Conclusions:

- Due the trace anomaly \Rightarrow radion $\sigma_{\text{tot}} \sim 8$ times large than Higgs in the mass interval in gluon fusion
- photon fusion as lower limit production; Z^2 improvement in ion collisions
- gluon production dominant in all scenarios. A^2 or A^4 improvement. Sensitivity in SPG.
- Crucial dependence on mass and Λ_{Φ} .
- low number of events in nuclear collisions, reasonable in pp
- small sign than inclusive production, but clean due the process topology
- pile-up in exclusive production

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- First RS graviton state: small number of events
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- Double Z production: an enhancement above the SM; feasible measurement in heavy ion case in a low M_D scale

Forthcoming issues

- diphotons / dileptons
- graviton in ADD scenario
- monojet production (missing energy)

