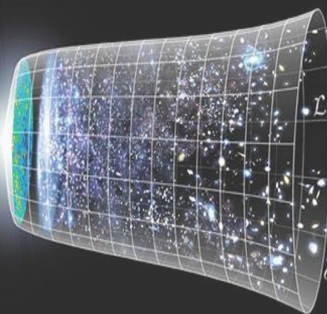


T violation searches with DUNE and T2HK


$$\mathcal{L}_{\text{SM}} = -\frac{1}{4}\text{Tr}(F^{\mu\nu}F_{\mu\nu}) + \frac{\theta}{64\pi^2}\text{Tr}(G^{\mu\nu}\tilde{G}_{\mu\nu}) + |D_\mu\phi|^2 + \mu^2\phi^\dagger\phi - \lambda(\phi^\dagger\phi)^2$$
$$+ i\bar{\psi}_L D^\mu\gamma_\mu\psi_L + i\bar{\psi}_R D^\mu\gamma_\mu\psi_R - \left(\lambda_{ij}^d\bar{\psi}_{iL}\phi\psi_{jR} + \lambda_{ij}^u\bar{\psi}_{iL}\tilde{\phi}\psi_{jR}\right) + \text{h.c.}$$
$$\mathcal{L}_{\text{dim=5}} = \frac{Y_{\alpha\beta}}{\Lambda_{\text{LNV}}}\left(\overline{L_\alpha^c}\tilde{\phi}^*\right)\left(\tilde{\phi}^\dagger L_\beta\right)$$
$$ds^2 = c^2 dt^2 - a(t)^2 \left(\frac{dr^2}{1-kr^2} + r^2 d\Omega^2\right)$$


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**Sabya Sachi Chatterjee, Sudhanwa Patra, Thomas Schwetz,
Kiran Sharma***

Kiran Sharma, NuFact 2025, Spine, Liverpool, 1-6 September

Outline

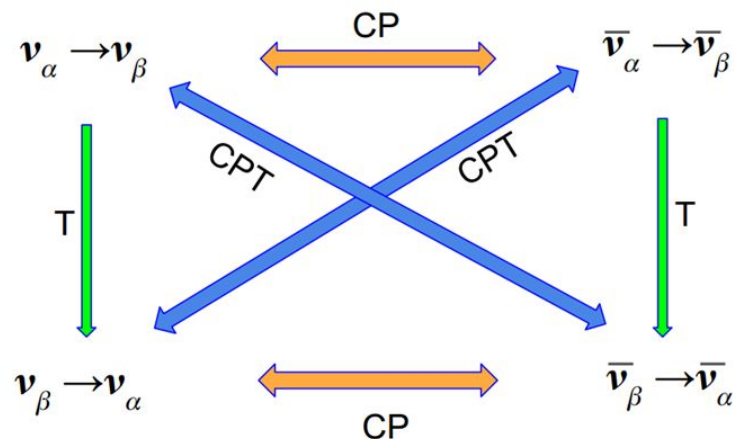
- **CP and T violation.**
- **Model Independent T violation test with New Physics.**
- **T -violation test with 3 flavor scenario only.**

Schwetz, Sharma et.al, Model-independent search for T violation with T2HK and DUNE [[2408.06419](#)]

Schwetz, Sharma et.al, T versus CP effects in DUNE and T2HK [[2508.04766](#)]

CP and T violation in neutrino oscillations

- In two flavor picture, no fundamental CP and T violation.
- In three flavor picture, fundamental CP violation due to leptonic phase.
- Normal matter (no. of particles is not equal to no. of antiparticles) induces extrinsic(fake) CP violation.
- Matter with symmetric density profiles don't induce fake T violation, asymmetric profiles do.



$$\Delta P_{\alpha\beta}^{CP} = P_{\alpha\beta} - \bar{P}_{\alpha\beta},$$

$$\Delta P_{\alpha\beta}^T = P_{\alpha\beta} - P_{\beta\alpha},$$

$$\Delta P_{\alpha\beta}^{CPT} = P_{\alpha\beta} - \bar{P}_{\beta\alpha}.$$

Model Dependent Approach in SM

- Standard approach is to perform a model dependent fit to data (combining accelerator and reactor data).
- Not possible to construct model-independent CP asymmetric observables.
- CPV signature in neutrino oscillation experiments is rather indirect.
- Observation of CPV is equivalent to establishing δ different from 0 and π at a certain confidence level.
- T violation is rather hard by exchanging the source and detector.

Appears in Unitary
Parameterization(U_{PMNS})

Model Independent Test for T violation

- Standard Approach is to perform a **model-dependent fit** to data, which assumes only 3 standard model neutrinos exist.
- However, new physics scenarios like non-unitary mixings, non-standard neutrino interactions, presence of sterile neutrinos act as **New Source of CP and T violation**.
- Develop a largely **model-independent test** covering a wide class of non-standard scenarios.

Schwetz, Segarra, On T violation in non-standard neutrino oscillation scenarios [[2112.08801](#)]

Schwetz, Segarra, Model-independent test of T violation in neutrino oscillations [[2106.16099](#)]

Assumptions of Model

- The evolution of the flavor state is described :

$$i\partial_t|\psi\rangle = H(E_\nu)|\psi\rangle.$$

- Allow for non-unitary mixing among energy eigenstates and flavor states at detection and production:

$$|\nu_\alpha^{s,d}\rangle = \sum_{i=1}^3 (N_{\alpha i}^{s,d})^* |\nu_i\rangle$$

- Medium effects are defined by constant matter density approximately.
- The new physics is a sub-leading contribution to the standard framework.

Appearance Probability

- The appearance probability is defined as :

$$P = \left| \sum_{i=1}^3 c_i e^{-i\lambda_i L} \right|^2, \quad c_i \equiv N_{\mu i}^{s*} N_{ei}^d,$$

- Expanding it out, in terms of new variable, ϵ that describes deviation from unitarity and leads to a “zero distance effect”.

$$P = \left| c_2(e^{-i(\lambda_2 - \lambda_1)L} - 1) + c_3(e^{-i(\lambda_3 - \lambda_1)L} - 1) + \epsilon \right|^2,$$

$$\epsilon \equiv \sum_{i=1}^3 c_i.$$

$$P^{\text{ND}} \equiv P(L \rightarrow 0) = |\epsilon|^2.$$

T violation Test for 2 experiments

$$P_{\text{even}} = \gamma_2 c_2 (c_2 - \epsilon) + \gamma_3 c_3 (c_3 - \epsilon) + \gamma_{23} c_2 c_3 + \epsilon^2$$

With the abbreviations

$$\left. \begin{aligned} \gamma_i &= 4 \sin^2 \phi_{i1} \quad (i = 2, 3), \\ \gamma_{23} &= 8 \sin \phi_{21} \sin \phi_{31} \cos(\phi_{31} - \phi_{21}). \end{aligned} \right\} \phi_{ij} \approx \frac{\Delta m_{ij,\text{eff}}^2(E_\nu)L}{2E_\nu}$$

- One may think there is always a fit for two experiments plus a near detector, which provide three data points.
- However, under certain conditions the quadratic nature of the parameter dependence does not provide a solution for three data points.

Define a model-independent observable X_T , built out of the observed probabilities $P_{\nu_\mu \rightarrow \nu_e}(L)$ at two baselines L_1, L_2 and at a near detector.

$$X_T \equiv P_{\text{even}}(L_2) - P_{\text{even}}(L_1) - \epsilon^2 \delta_0 = \delta_2 c_2^2 + \delta_3 c_3^2 + \delta_{23} c_2 c_3$$

With,

$$\delta_i = \gamma_i(L_2) - \gamma_i(L_1) \quad (i = 2, 3, 23)$$

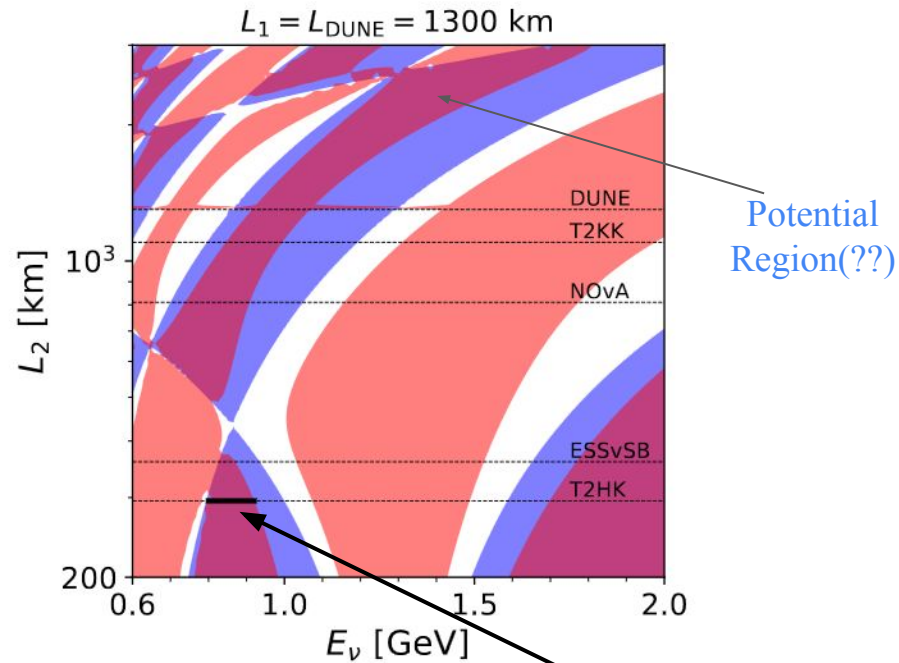
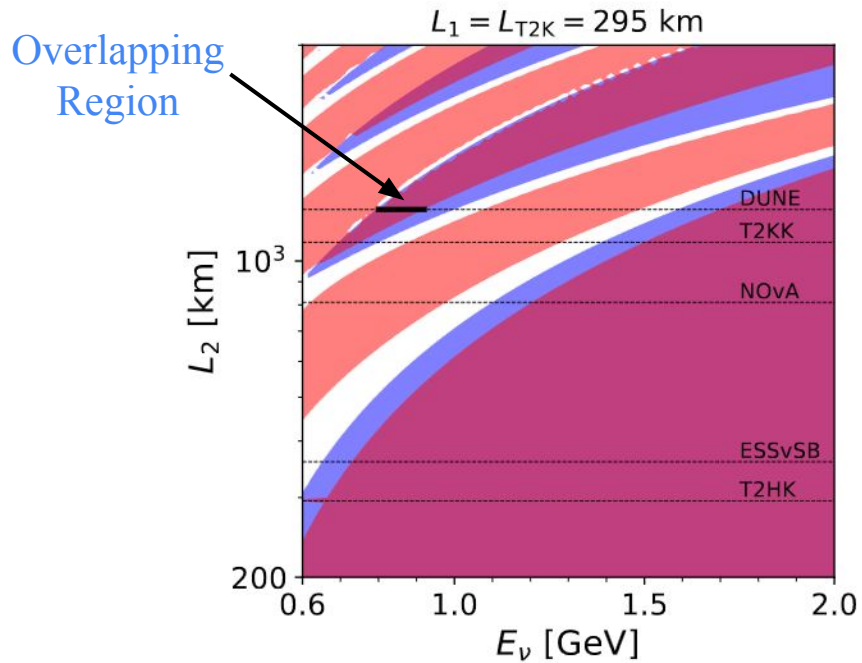
$$\delta_0 = \frac{\delta_2 + \delta_3 - \delta_{23}}{\delta_{23}^2 / (\delta_2 \delta_3) - 4}.$$

The right-hand side of eq. is a non-negative function of c_2 and c_3 if

$$\begin{aligned} \delta_3 > 0 \quad \text{and} \quad \delta_2 > 0, \quad \text{and} \\ |\alpha| < 2 \quad \text{with} \quad \alpha \equiv \frac{\delta_{23}}{\sqrt{\delta_2 \delta_3}}. \end{aligned}$$

$$\chi_T^{\text{obs}} = P_{\nu_\mu \rightarrow \nu_e}^{\text{obs}}(L_2) - P_{\nu_\mu \rightarrow \nu_e}^{\text{obs}}(L_1) - \delta_0 P_{\nu_\mu \rightarrow \nu_e}^{\text{ND,obs}}$$

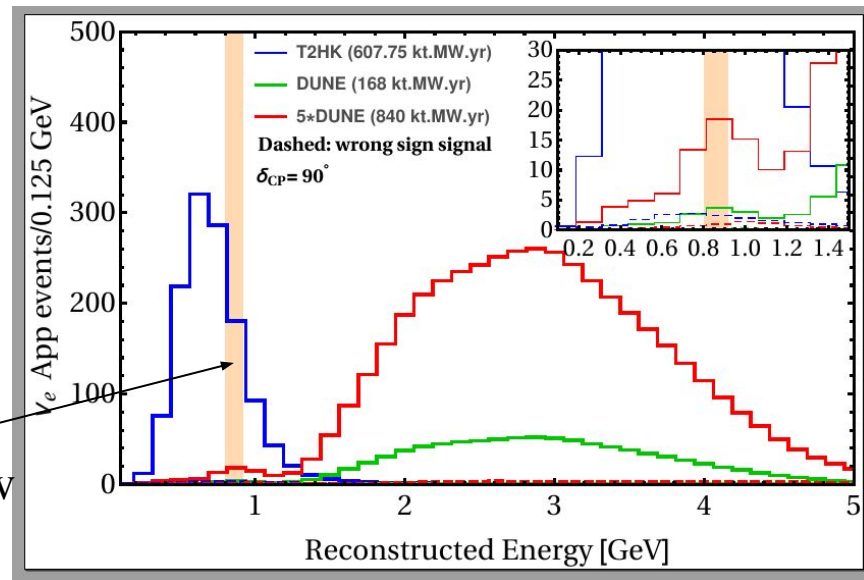
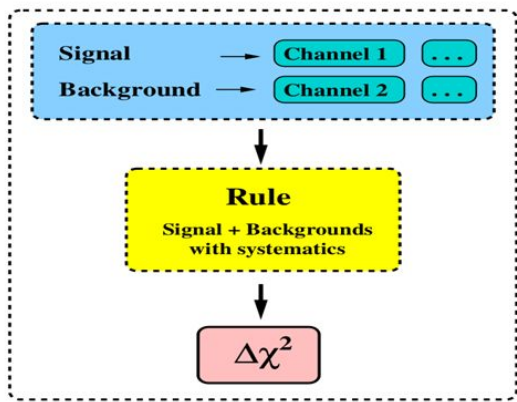
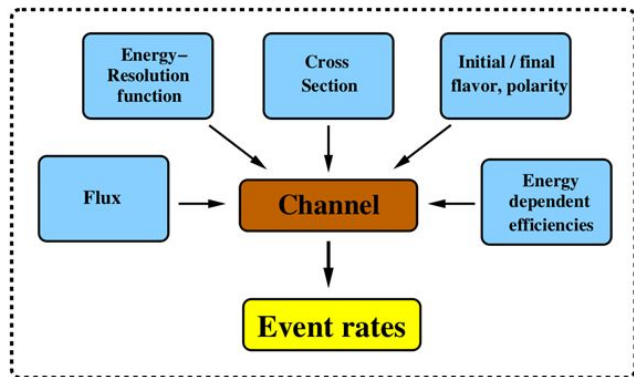
If it can be established within experimental uncertainties that $\chi_T^{\text{obs}} < 0$ and the conditions are fulfilled then T has to be violated in Nature.



$E_\nu \in [0.80, 0.92] \text{ GeV}$ (neutrinos/NO, anti-neutrinos/IO)
 $E_\nu \in [0.86, 0.99] \text{ GeV}$ (neutrinos/IO, anti-neutrinos/NO)

Overlapping Region

Simulation Details



Sensitive Window

T2HK: 180 events
DUNE: 18 events

GLOBES Toolkit

We work with neutrino running mode

Hypothesis testing

Default Configuration:

T2HK[L=295 km]:

Runtime(neutrino mode): 2.5 yrs

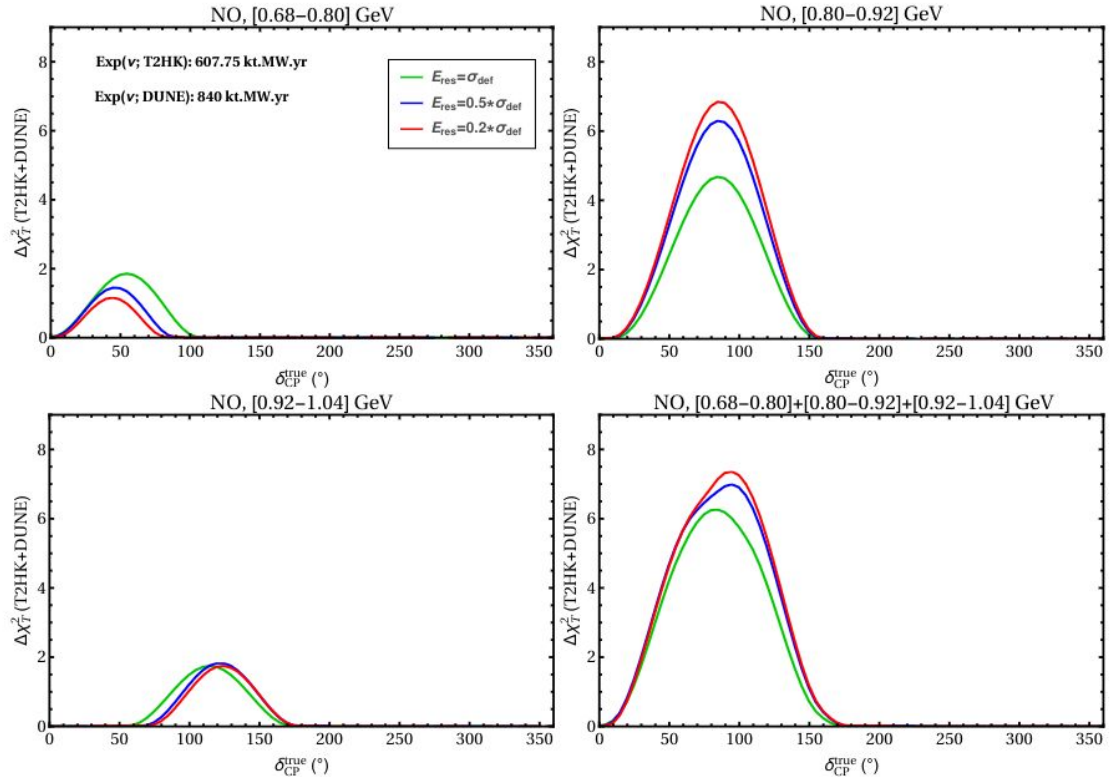
Detector mass: 187 kton

DUNE[L=1300 km]:

Runtime(neutrino mode): 3.5 yrs

Detector mass: 40 kton

DUNE exposure: achieved roughly
after 13 years of operation



Exposure and Resolution Effect

Standard Resolution:

T2HK~16%

DUNE~8.5% (better than CDR and TDR files)

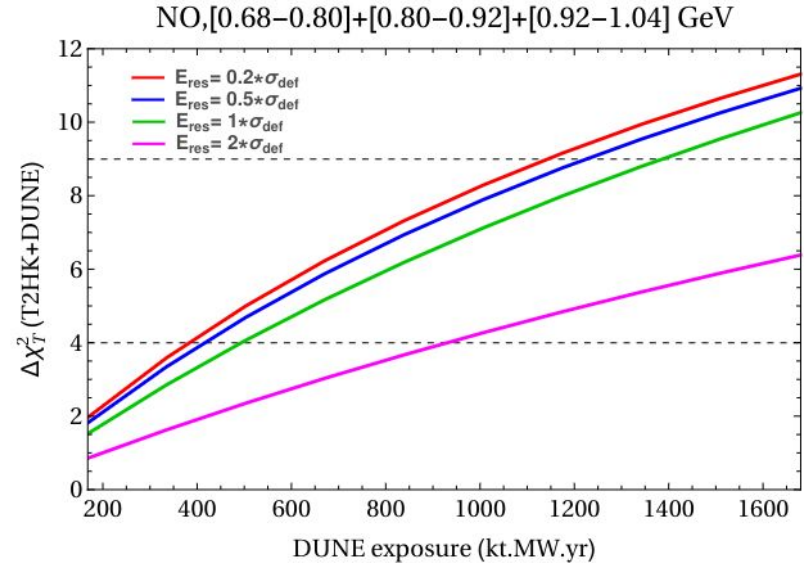
$$E_{\text{res}} = \alpha \cdot E + \beta \cdot \sqrt{E} + \gamma$$

$$\sigma_{\text{def}}(\text{T2HK}, \nu): \{\alpha, \beta, \gamma\} = \{0.12, 0.07, 0.0\}$$

$$\sigma_{\text{def}}(\text{T2HK}, \bar{\nu}): \{\alpha, \beta, \gamma\} = \{0.12, 0.0, 0.09\}$$

$$\sigma_{\text{def}}(\text{DUNE}, \nu): \{\alpha, \beta, \gamma\} = \{0.045, 0.001, 0.048\}$$

$$\sigma_{\text{def}}(\text{DUNE}, \bar{\nu}): \{\alpha, \beta, \gamma\} = \{0.026, 0.001, 0.085\}$$



A. Friedland, et.al, Understanding the energy resolution of liquid argon neutrino detectors [[1811.06159](#)]

Chatterjee, et.al, Impact of Improved Energy Resolution on DUNE sensitivity to Neutrino Non-Standard Interactions [[2106.04597](#)]

Key Results of Model-independent Approach

- The variable X_T depending solely on oscillation probabilities provides an efficient way to probe T violation signature experimentally.
- We find the potential region for studying T violation with T2HK and DUNE at low energies.
- The improved statistics and better detector resolution, particularly for **DUNE**, plays a crucial role in improving sensitivities.
- A sufficiently strong constraint on $\nu_\mu \rightarrow \nu_e$ transitions at zero distance is required, at least at the $\lesssim 1\%$ level.

3 Flavor Scenario



2508.04766

Model-Independent vs. 3-Flavor Analysis

Model-Independent:

- Uses X_T **observable** (probability difference at two baselines).
- No assumptions on c_i coefficients (includes the various possible scenarios of new physics).
- High exposure: **840 kton (DUNE)**(~ 13 yrs runtime).

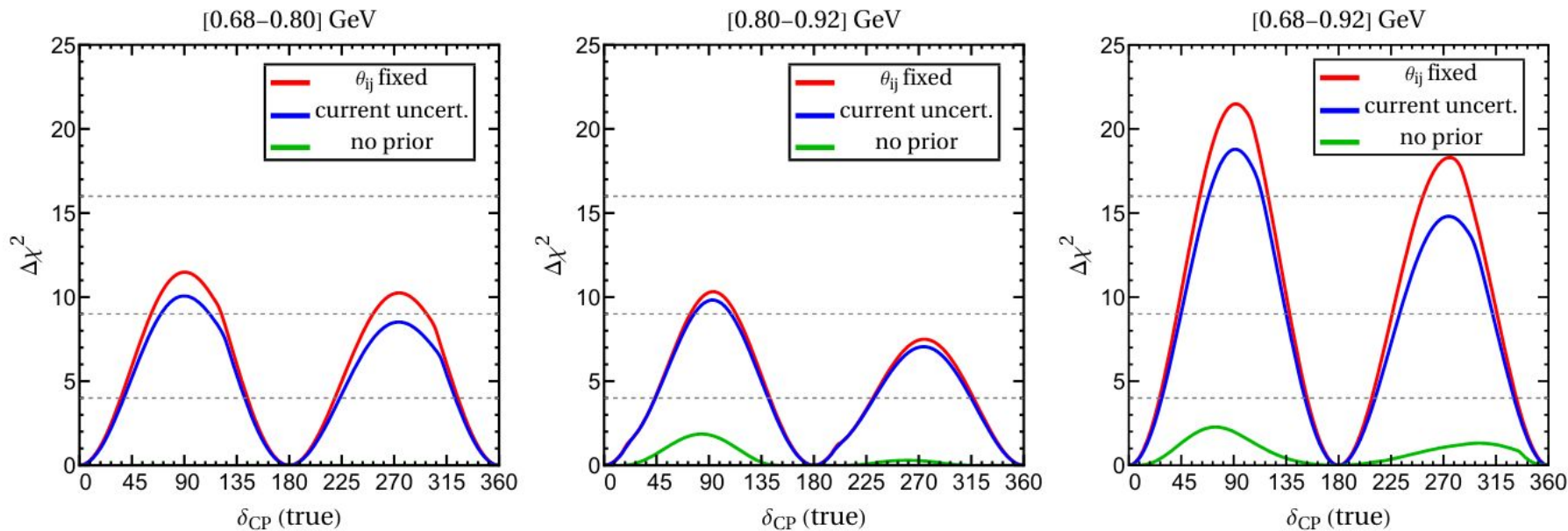
3-Flavor Framework:

- Based on **L-odd component** of transition probabilities at fixed energy.
- c_i coefficients tied to mixing-angle uncertainties (restricted to unitarity mixing).
- Realistic exposure: **300 kton** (~ 7 yrs runtime).

A complimentary analysis using X_T observable within 3 flavor scenario is also performed (see Backup)

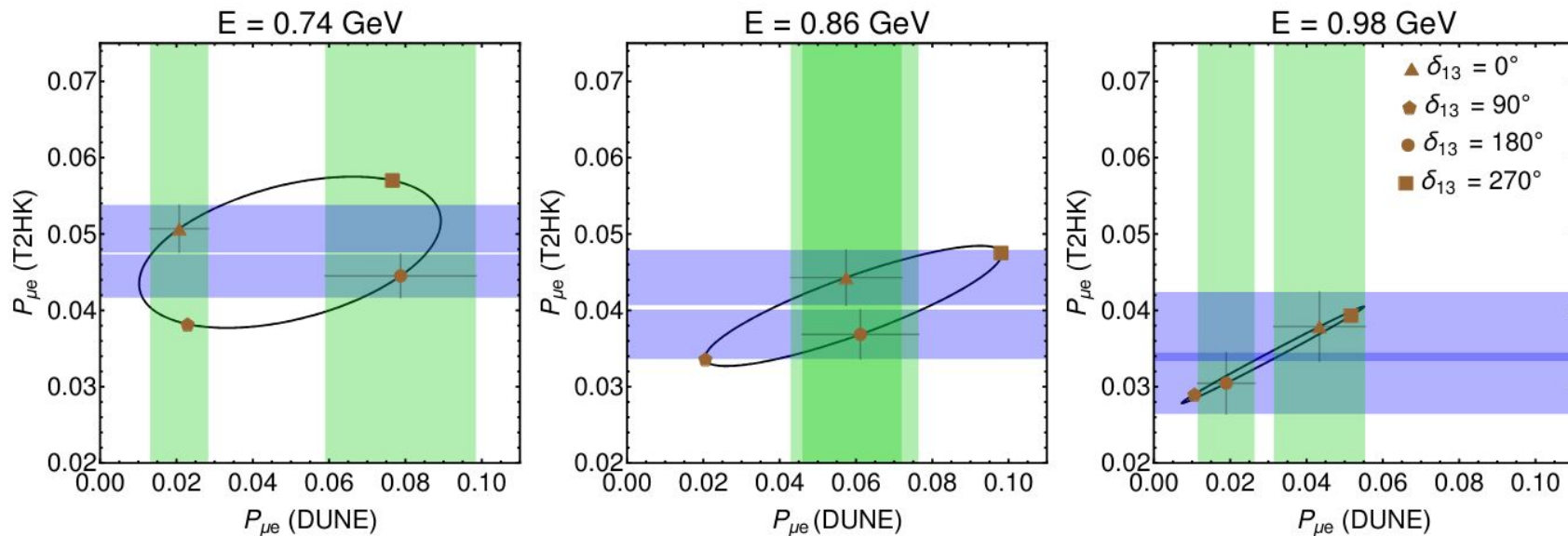
T violation from L dependence

Assume a Gaussian prior on $\sin^2\theta_{ij}$, sensitivity to T violation by evaluating $\Delta\chi^2$ for 1 degree of freedom using neutrino beam mode only.



No prior information on the mixing angles is similar to model-independent approach.

Bi-Probability Analysis



- For low bin, sensitivity emerges from a synergy between the two experiment.
- For middle bin, DUNE dominates the sensitivity and T2HK gives only a sub-leading contribution.
- For higher bin, there is the absence of sensitivity.

Exposure and Resolution Effect

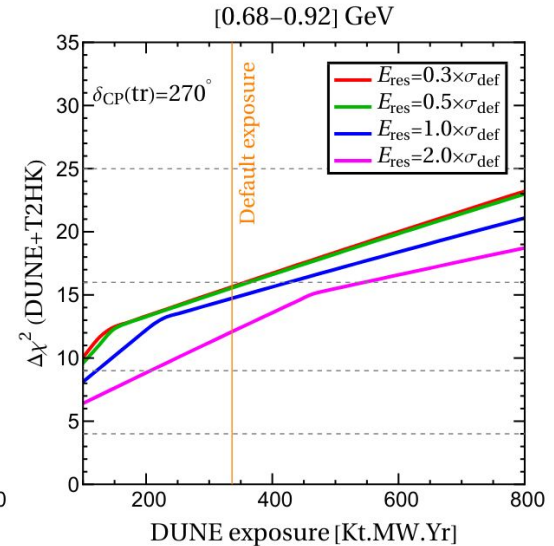
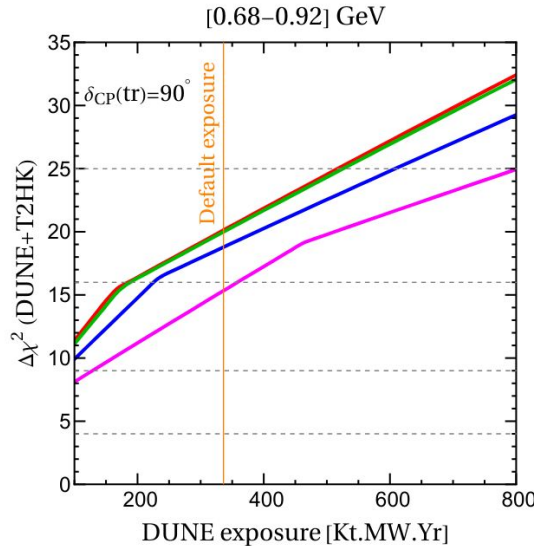
$$E_{\text{res}} = \alpha \cdot E + \beta \cdot \sqrt{E} + \gamma$$

$$\sigma_{\text{def}}(\text{T2HK}, \nu): \{\alpha, \beta, \gamma\} = \{0.12, 0.07, 0.0\}$$

$$\sigma_{\text{def}}(\text{DUNE}, \nu): \{\alpha, \beta, \gamma\} = \{0.045, 0.001, 0.048\}$$

- **DUNE[L=1300 km]:**
336 kt MW yr, (neutrino-beam mode only)
~roughly 7 years of run time.

- The kink in the sensitivity curves is related to the lower energy bin [0.68, 0.8] GeV. For small enough DUNE errors, the sensitivity is determined by T2HK error bars which are kept fixed.



T versus CP

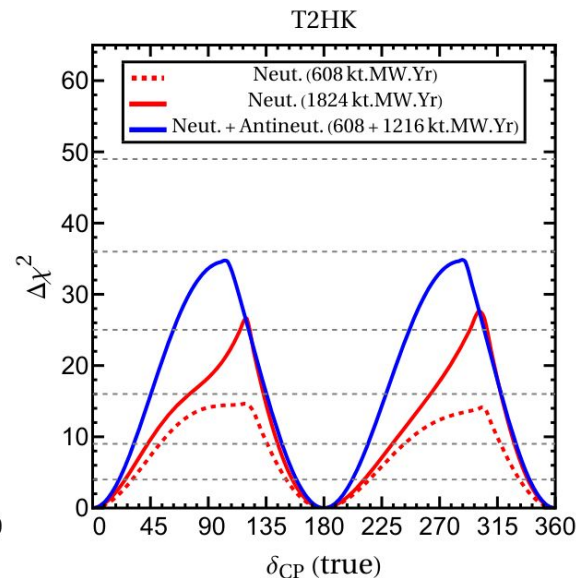
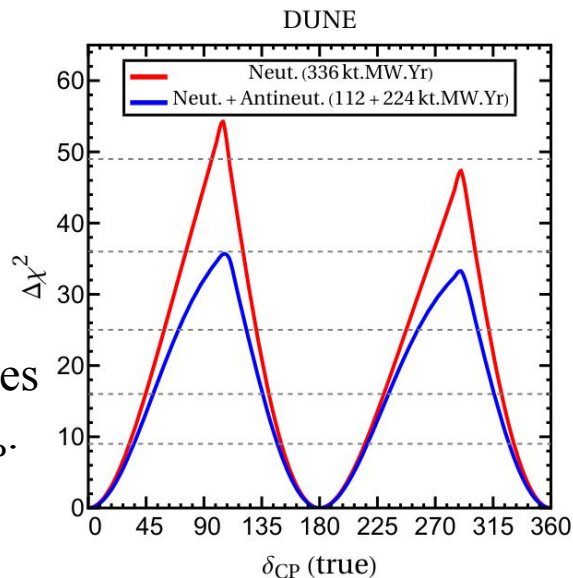
Neutrino Data only: **T Violation**

Neutrino and Antineutrino Data:
CP Violation

For **DUNE**: 336 kt MW yr

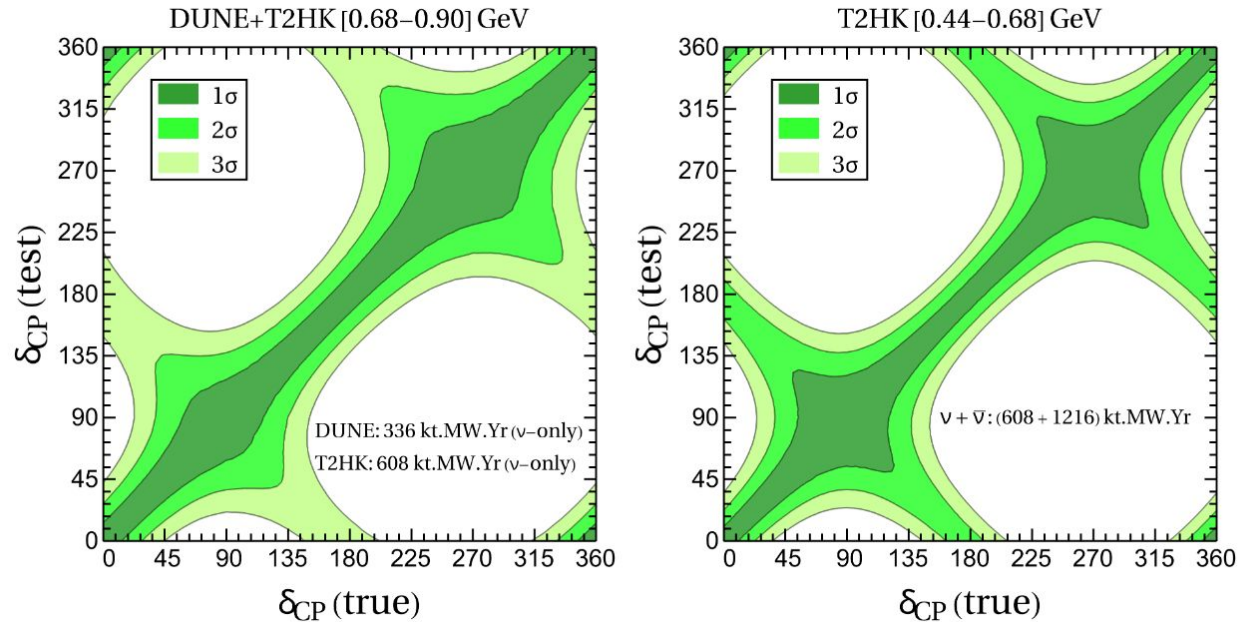
For **T2HK**: 1824 kt MW yr

- For DUNE, T violation provides dominating information on δ_{CP} .
- For T2HK, CP-asymmetric observable is more powerful.



Note: Results apply not only for the sensitivity of the full spectrum but for each energy bin separately.

Comparison (Test of the CPT symmetry)



Two independent determinations of δ_{CP} from T and CP violating observables.

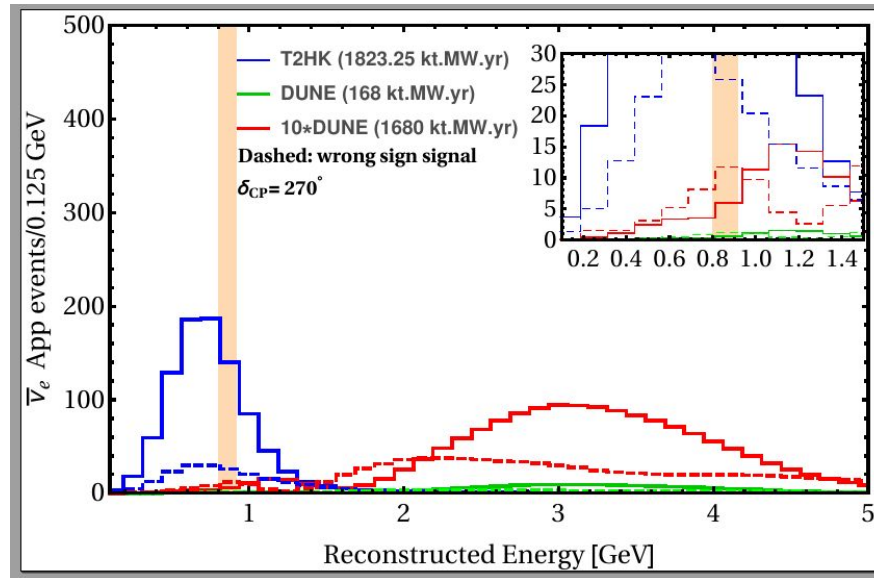
Conclusions

- We find that the model-independent requirements on exposure/resolution are more demanding than for the 3-flavour case, which offers very good sensitivity even with standard exposures.
- We find that L-odd component in the transition probability, appears as a direct consequence of fundamental T violation.
- We distinguish T violation in the sense of an L-odd component of the transition probability (for a neutrino beam only) as contrasted to CP violation from the comparison of neutrino and antineutrino transition probabilities.
- Sensitivity depends on the available exposure as well as on prior knowledge on the mixing angles, including the octant degeneracy of θ_{23}
- DUNE offers better sensitivity in the neutrino-only mode, whereas T2HK performs better in the split neutrino/anti-neutrino configuration.

Thank You 😊

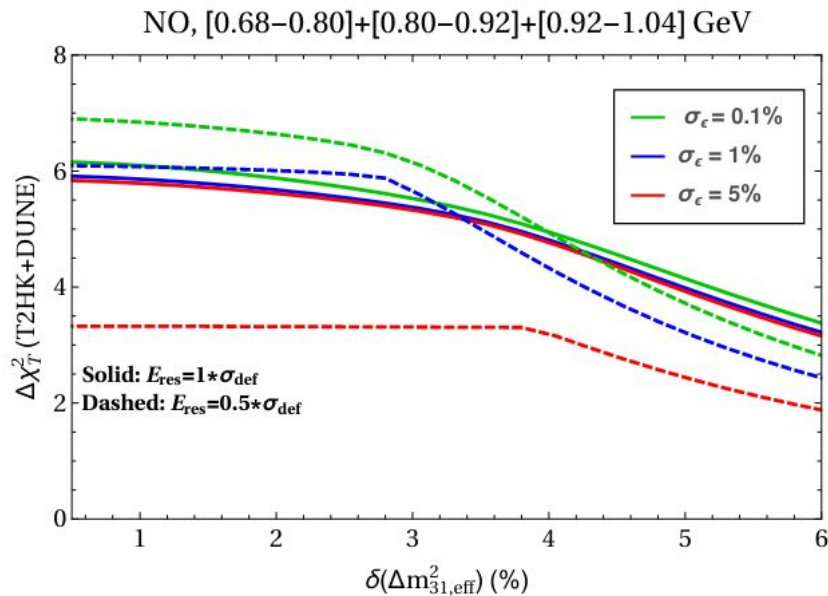
Backup Slides

Anti-Neutrino Event Spectra

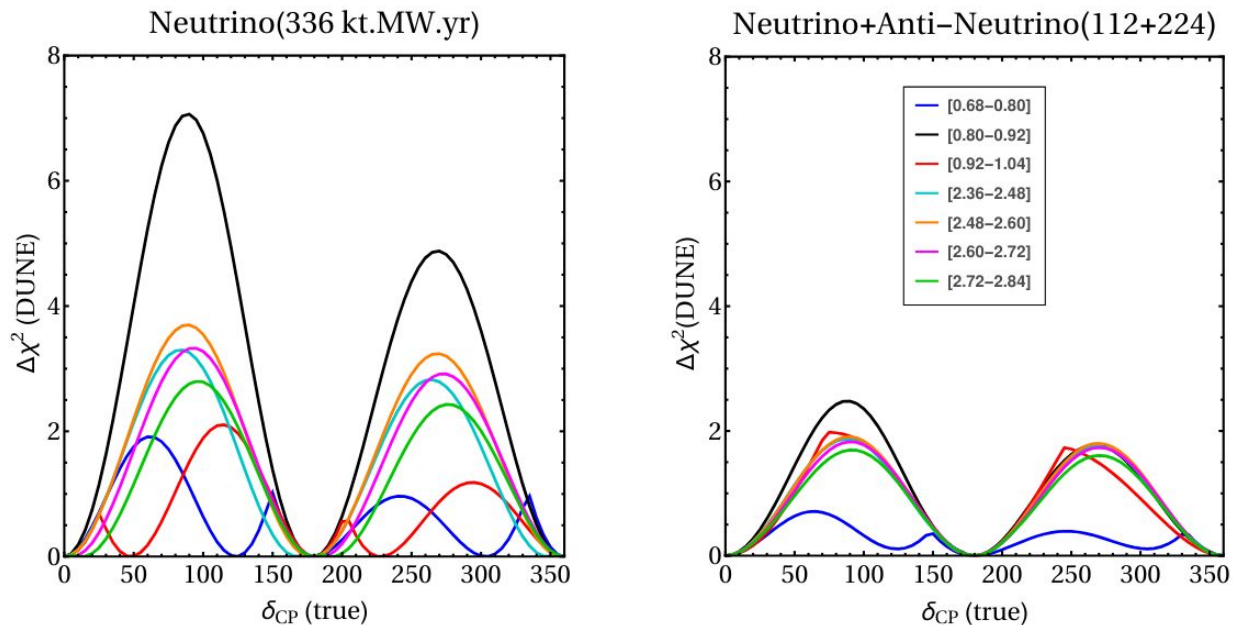


Zero-distance effect and prior on oscillation frequencies

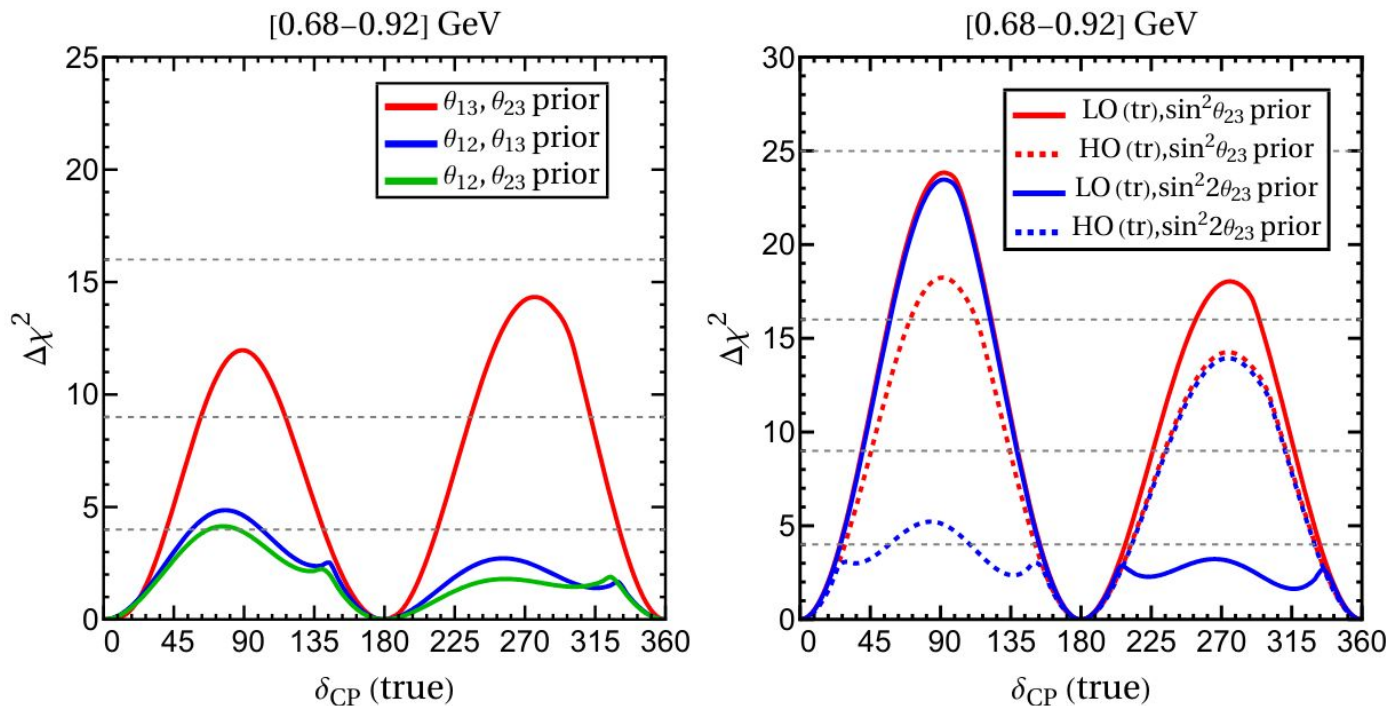
- “Near detector” prior constrains the deviation from unitarity
- Better resolution leads to a worse sensitivity, a manifestation of the larger value of $|\delta_0|$ due to the non-trivial energy averaging.
- Constraints on the zero-distance effect and on the oscillation frequency better than $\approx 1\%$ are desirable.



Energy dependence of T and CP sensitivities

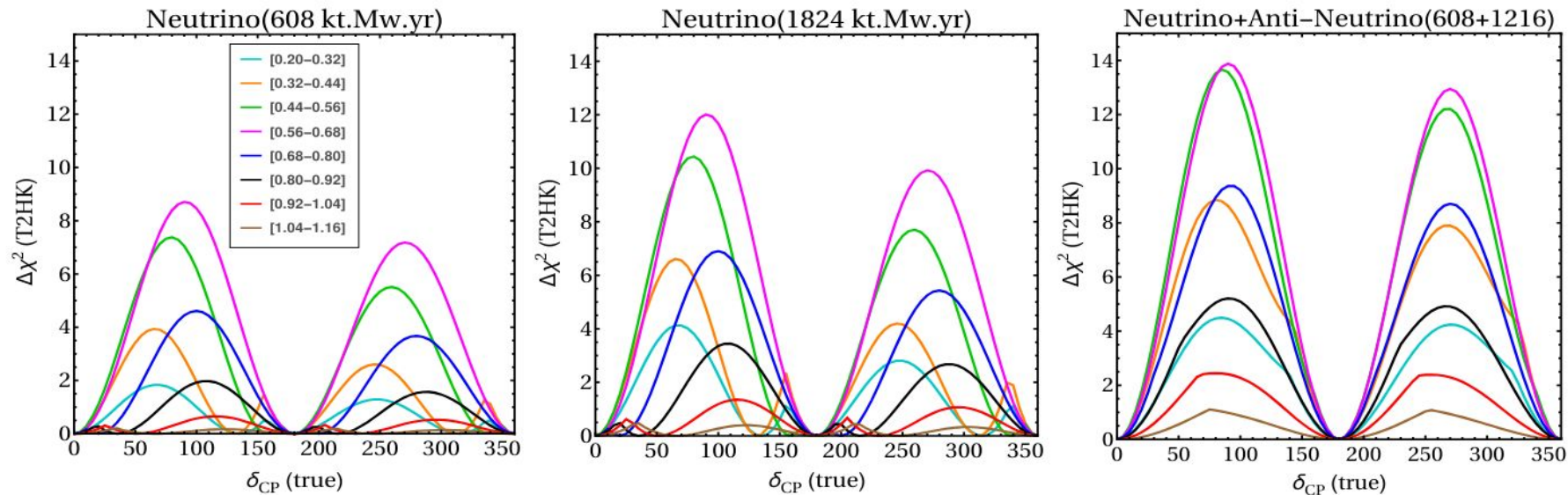


Prior knowledge on mixing angles

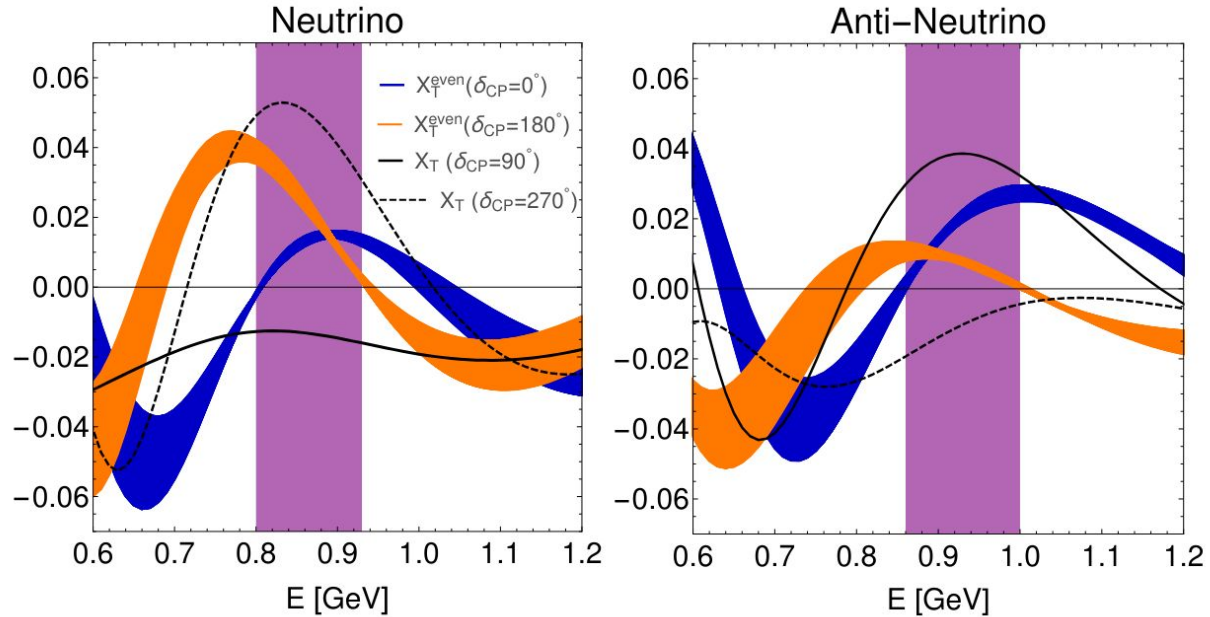


Knowledge of the θ_{23} octant is very crucial.

Energy dependence of T and CP sensitivities



X_T Test



$$X_T^{\text{obs}} = P_{\nu_\mu \rightarrow \nu_e}^{\text{obs}}(L_2) - P_{\nu_\mu \rightarrow \nu_e}^{\text{obs}}(L_1)$$

X_T Test

$$S_{X_T} = \frac{\Theta(X_T^{\text{even}} - X_T^{\text{obs}})}{\sigma_{X_T}}.$$

$$\sigma_{X_T}^2 = \sum_x \frac{P_x^2}{S_x^2} (S_x + B_x + \sigma_{xS}^2 S_x^2 + \sigma_{xB}^2 B_x^2),$$

$$\langle P_{\nu_\mu \rightarrow \nu_e}^x \rangle \equiv P_x = \frac{S_x}{S_x (P_{\nu_\mu \rightarrow \nu_e} = 1)}$$

- P_x is the corresponding oscillation probability,
- S_x and B_x are the number of signal and background events in experiment,
- σ_{xS} (σ_{xB}) is the relative systematic uncertainty in S_x (B_x).

