

# Probing colour flow with jet vetoes

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# Introduction

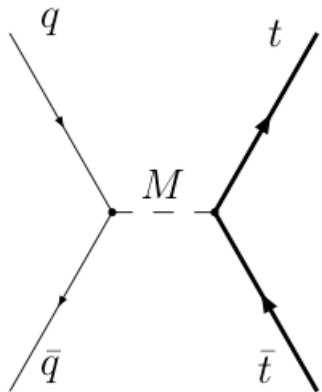
- The basic picture:
  - hard partons are produced in high energy collisions
  - they hadronise into colour-neutral particles
  - these hadrons are highly collimated into jets
- Colour correlations between jets can help us in many studies
- For instance in reducing overwhelming QCD backgrounds
- A better understanding of QCD is interesting on its own
  
- Colour connections measured in the past (DESY, LEP, Tevatron)

# Jet vetoes

- Jet vetoes appear very often in particle physics analyses
- For instance, as tool to keep the jet multiplicity fixed
- Or, to enhance certain contributions (Higgs production in VBF)
- Jet vetoes can be used to probe the colour structure of a hard process
- Fairly simple ideas but theoretical issues (e.g. non-global logarithms)

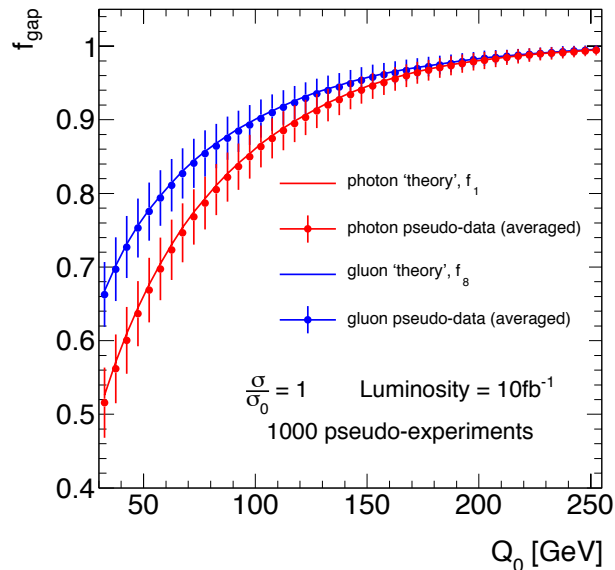
# Identifying a 2 TeV resonance

- If a new resonance is identified it would be important to measure its properties (mass, spin and colour)
- The associated radiation depends on the new resonance's colour charge
- Difficulties because this is influenced by the UE
- We can study the response of this radiation to the presence of a jet veto
- If we keep the veto scale  $Q_0$  large enough we can minimize contaminations from the UE



$$pp \rightarrow K \rightarrow t\bar{t}$$

$$\sqrt{s} = 14 \text{ TeV} \quad \text{with a jet veto in the central rapidity interval}$$



Experimental uncertainties largely cancel when considering gap fractions

Sung  
[arXiv:0908.3688](https://arxiv.org/abs/0908.3688)

Ask, Collins, Forshaw,  
 Joshi and Pilkington  
[arXiv:1108.2396](https://arxiv.org/abs/1108.2396)

# Jet vetoes in $Hjj$

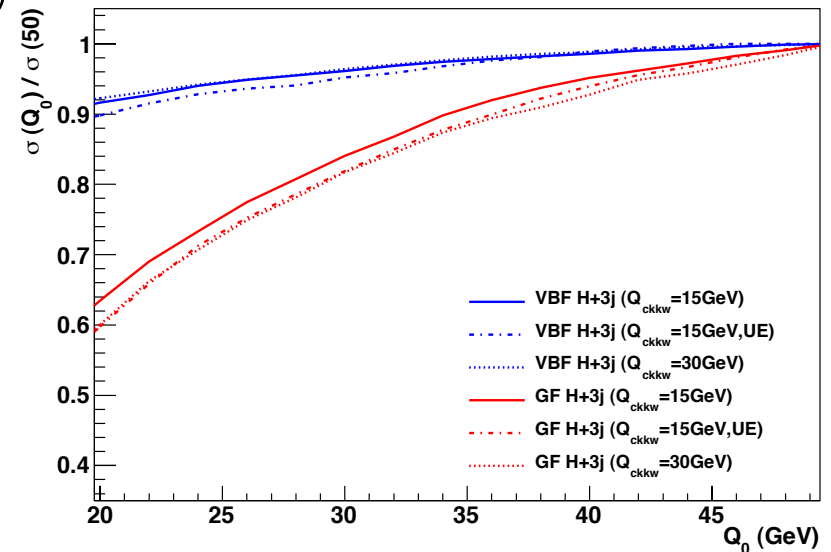
- Jet vetoes are used in VBF analysis to reduce the GF contribution
- Study the cross section as a function of the veto scale  $Q_0$

$$\sigma(Q_0) = \Lambda_g \sigma_g^{\text{SM}}(Q_0) + \Lambda_V \sigma_V^{\text{SM}}(Q_0)$$

- Fit to the data to simultaneously extract both couplings
- It makes sense only if we control the SM cross sections

$$\sigma(Q_0) = \sigma_{jj}(1 - P(Q_0))$$

- Theoretical uncertainties:  
 VBF:  $\pm 2\%$  (partial NNLO),  $\pm 1\%$   
 GF:  $\pm 20\%$  (NLO),  $\pm 20\%$  (???)  
 + PDFs and UE (both less than 5%)  
 Exp. Syst. (JES)  $\pm 20(30)\%$  for VBF(GF)



The main theoretical issue is the  $Q_0$  dependence in GF

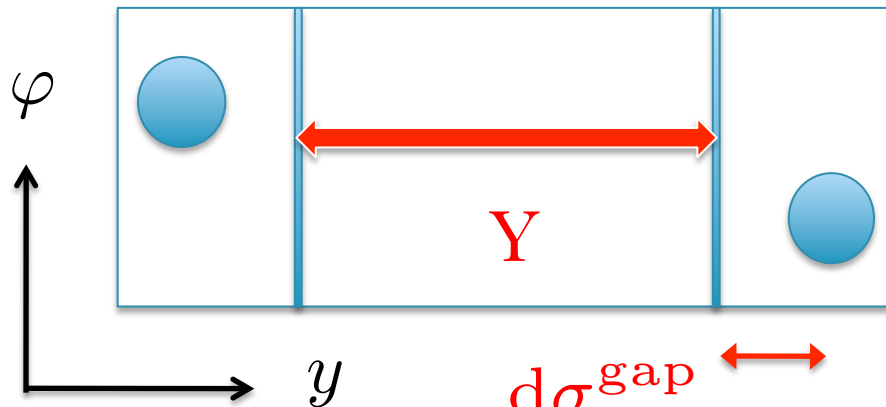
# How well do we understand jet vetoes ?

- If we want study jet vetoes to extract information on the colour flow we need theoretical control of the  $Q_0$  dependence
- Large logarithms of  $Q_0/Q$  may appear
- MC parton showers can give a first idea but they neglect sub-leading  $N_c$  terms
- We need to do a better job in resumming those logarithms
  
- We start by considering the simplest process, i.e. dijets events
- We want to compare theoretical predictions to LHC data to validate our tools

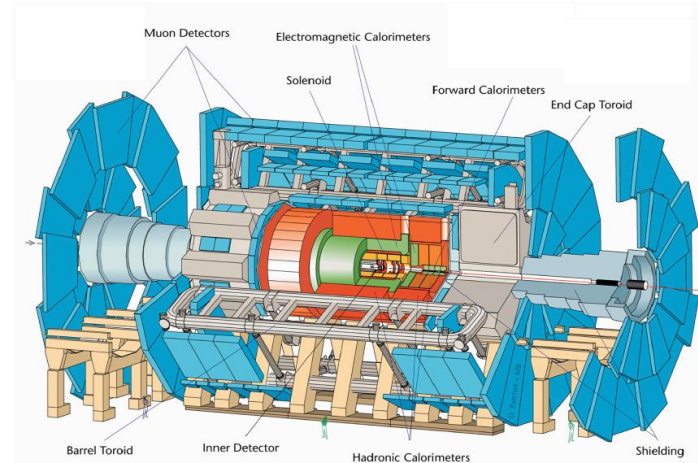
# The observable

Production of two jets with

- transverse momentum  $Q$
- rapidity separation  $Y$
- Emission with  $k_T > Q_0$  forbidden in the inter-jet region



$$f^{\text{gap}} = \frac{\frac{d\sigma^{\text{gap}}}{dQdY}}{\frac{d\sigma^{\text{incl}}}{dQdY}}$$



$$Y = |y_3 - y_4| - 2D$$

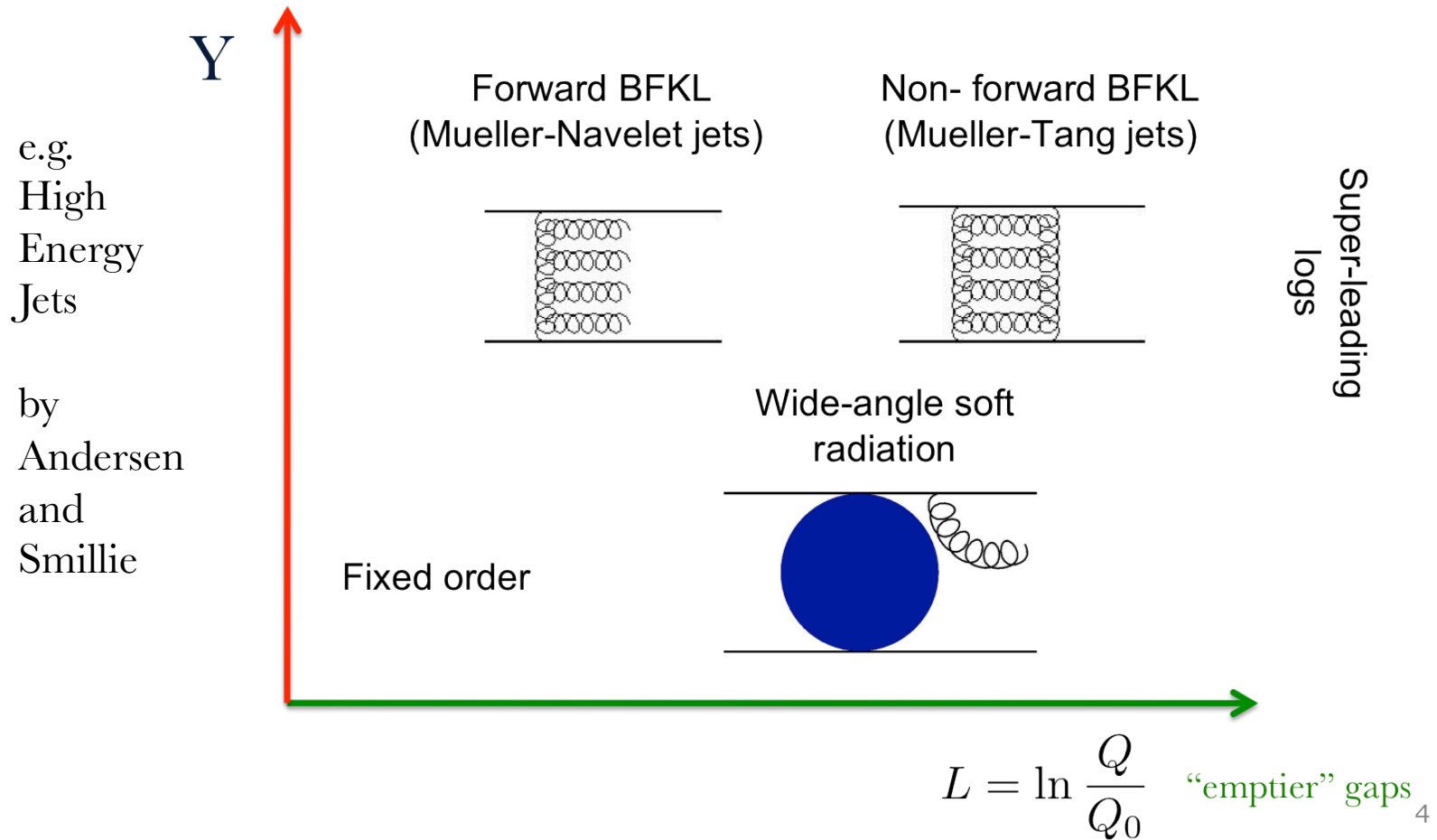
$$D \geq R \text{ azimuthally symmetric gap}$$

$$D = 0 \text{ ATLAS choice}$$

$$Q_0 = 20 \text{ GeV:}$$

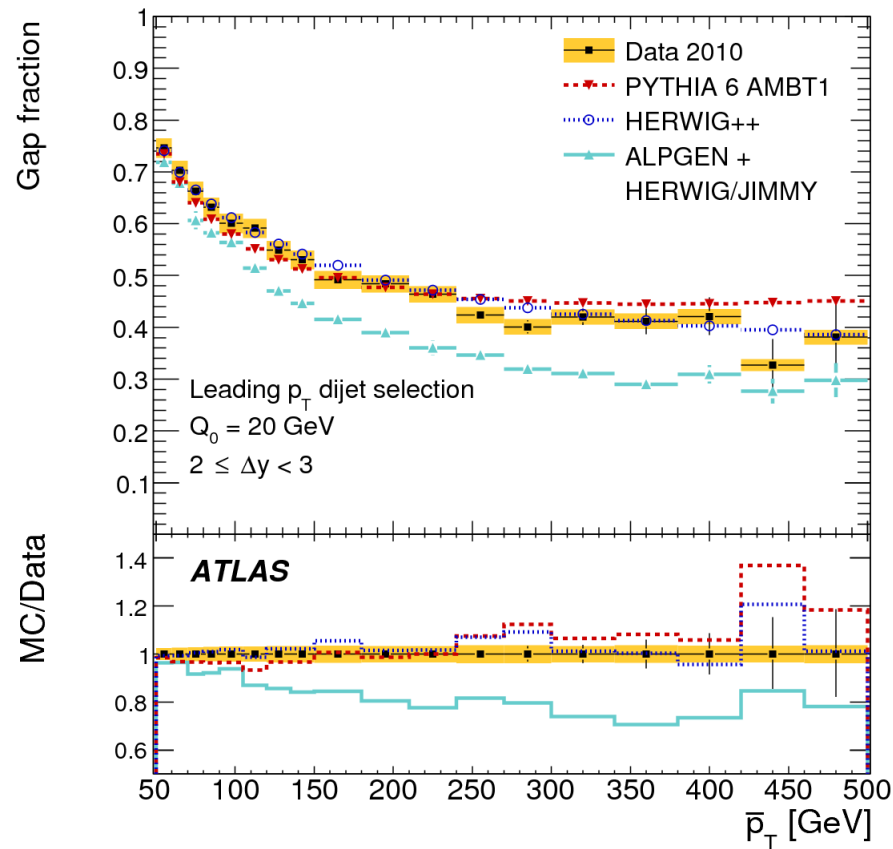
the gap is a region of limited hadronic activity

# Exploring QCD in different regions





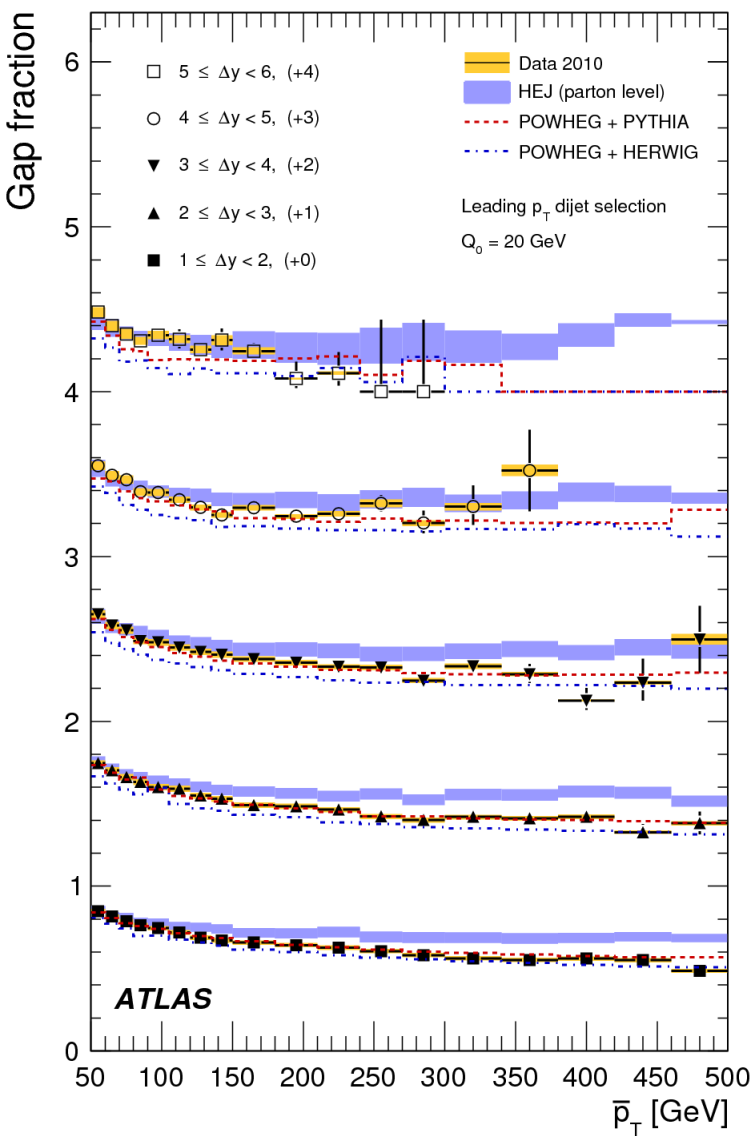
# ATLAS data VS standard MC tools



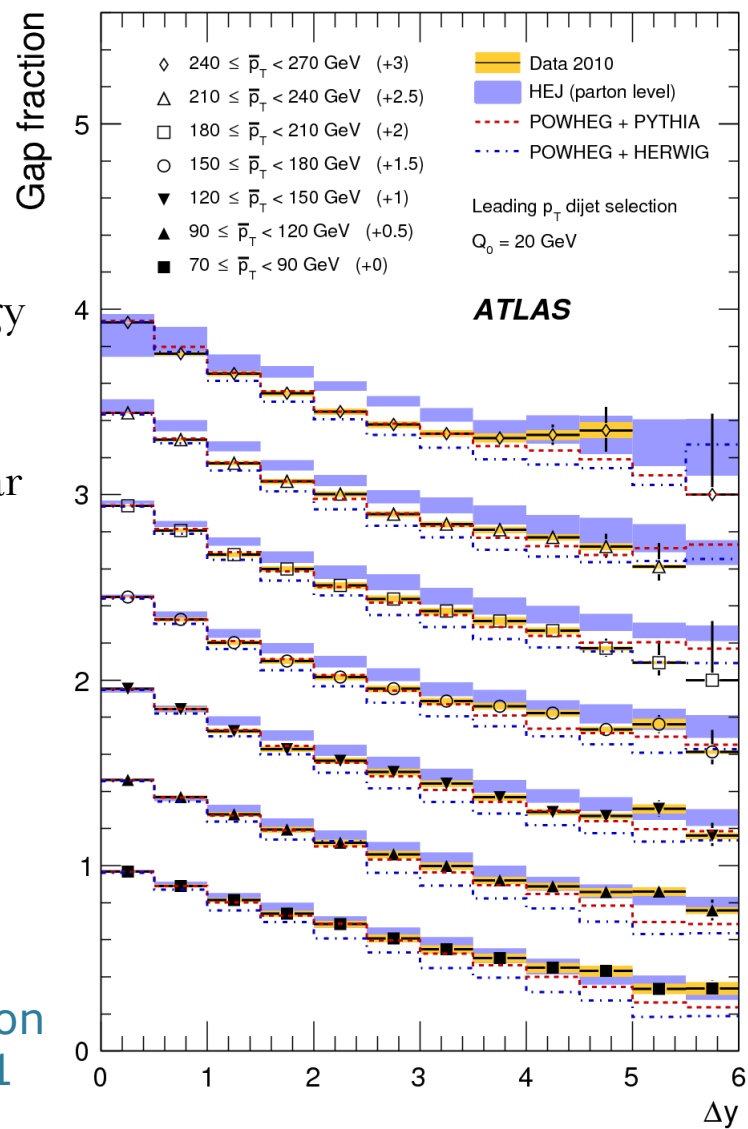
ATLAS collaboration  
arXiv:1107.1641

- Large spread in the theoretical predictions
- ALPGEN produces extra jets via matrix elements: harder radiation (gap fraction lower)
- But away from the data ...

# ATLAS data VS resummed calculations



- HEJ: high-energy resummation
- PS: soft/collinear resummation



ATLAS collaboration  
arXiv:1107.1641

# Soft gluon resummation

- Real and virtual contributions cancel everywhere except within the gap region for

$$k_T > Q_0$$

- One only needs to consider **virtual corrections** with

$$Q_0 < k_T < Q$$

- Leading logs (LL) are resummed by iterating the one-loop result:

$$\mathcal{M} = e^{-\alpha_s L \Gamma} \mathcal{M}_0$$

soft anomalous dimension

Born

Oderda and Sterman  
hep-ph/9806530

# Colour evolution

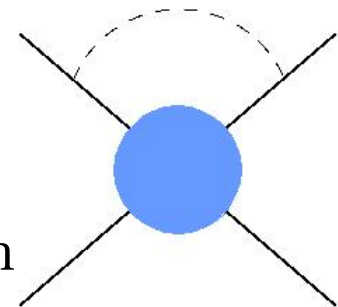
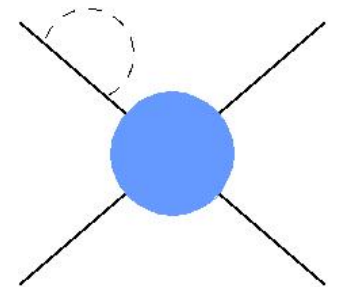
The anomalous dimension can be written as

$$\Gamma = \frac{1}{2} Y T_t^2 + i\pi T_1 \cdot T_2 + \frac{1}{4} \rho (T_3^2 + T_4^2)$$

$$T_t^2 = (T_1^2 + T_3^2 + 2T_1 \cdot T_3)$$

is the colour exchange in the  $t$ -channel

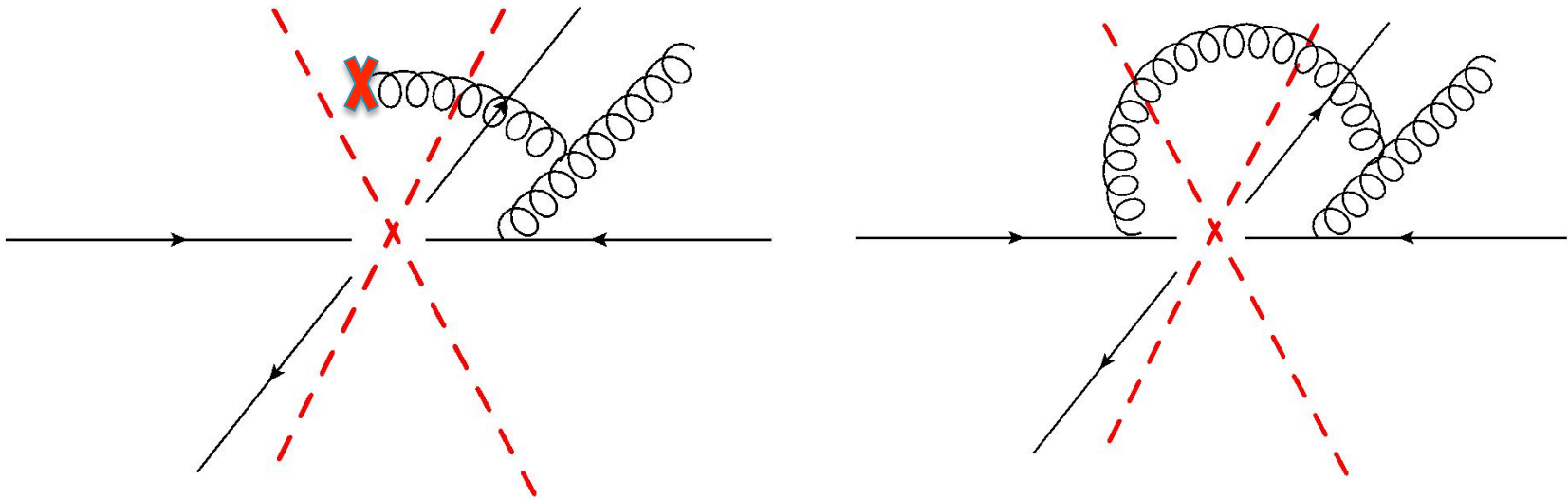
- The  $i\pi$  term is due to Coulomb (Glauber) gluon exchange
- Coulomb gluon contributions are *not* implemented in parton showers



# Non-global effects

Dasgupta and Salam  
hep-ph/0104277

- However this approach completely ignores a whole tower of LL
- Virtual contributions are not the whole story because real emissions out of the gap are forbidden to remit back into the gap



# Resummation of non-global logs

- The full LL result is obtained by dressing the 2 to  $n$  (i.e.  $n-2$  out of gap gluons) scattering with virtual gluons (and not just 2 to 2)
- The colour structure soon becomes intractable
- Resummation can be done (so far) only in the large  $N_c$  limit

Dasgupta and Salam  
hep-ph/0104277

Banfi, Marchesini and Smye  
hep-ph/0206076

- As a first step we compute the tower of logs coming from only one out-of-gap gluon but keeping finite  $N_c$ :

$$\sigma^{(1)} = -\frac{2\alpha_s}{\pi} \int_{Q_0}^Q \frac{dk_T}{k_T} \int_{\text{out}} (\Omega_R + \Omega_V)$$

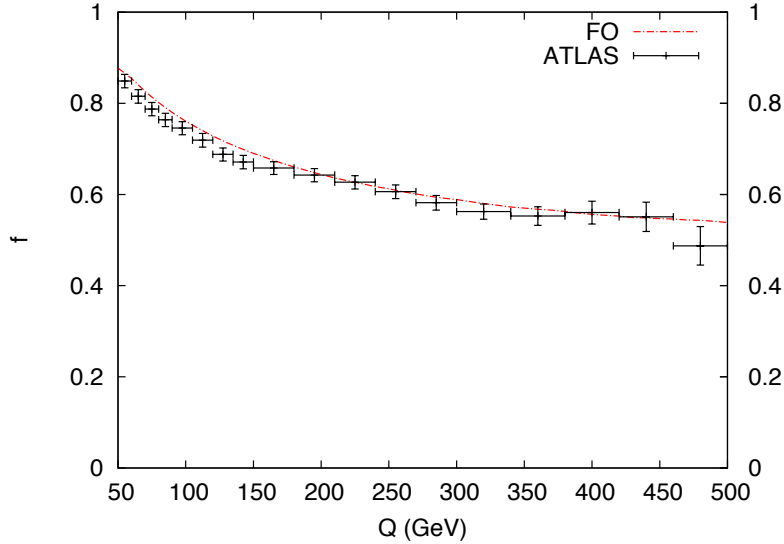
- Related issue: super-leading logs at  $O(\alpha_s^4)$ , violation of collinear factorisation (?)

Forshaw, Kyrielleis, Seymour  
hep-ph/0604094

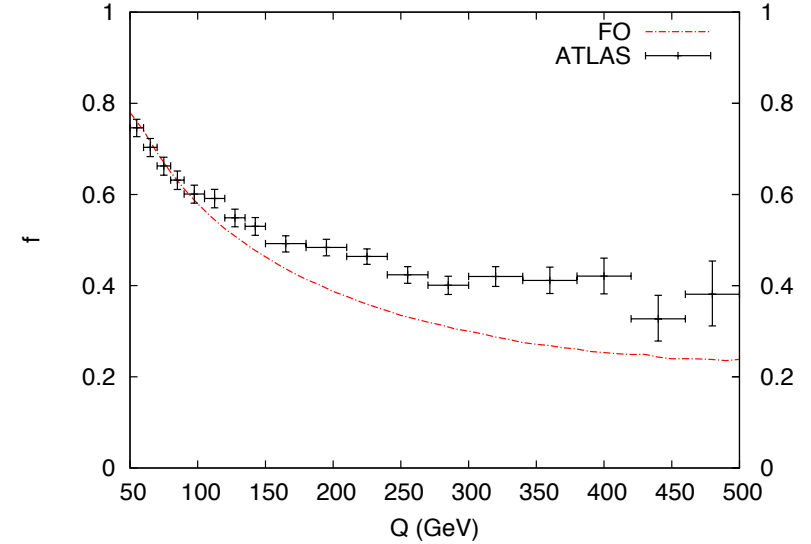
Catani, de Florian, Rodrigo  
arXiv:1112.4405

# Data and FO (2 to 3 ME)

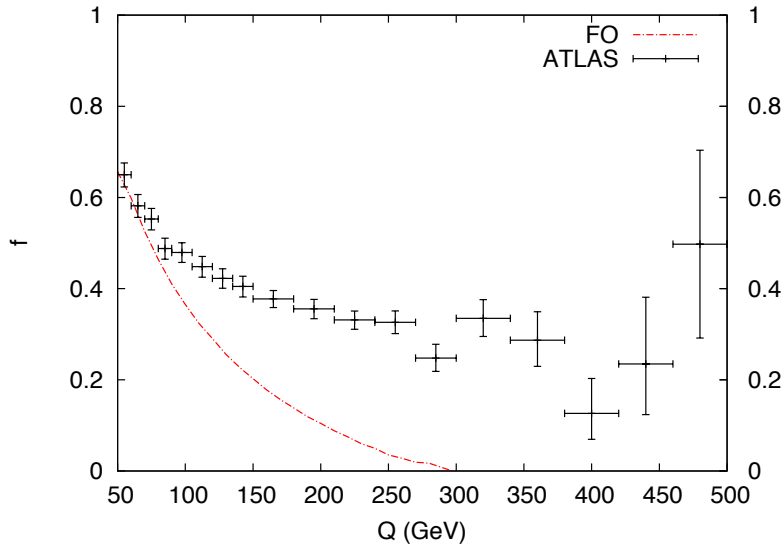
Gap fraction for  $1 < \Delta y < 2$



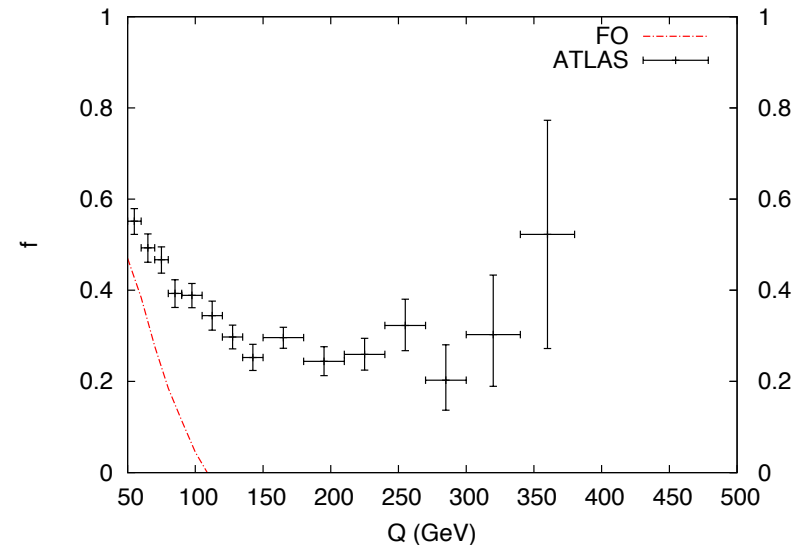
Gap fraction for  $2 < \Delta y < 3$



Gap fraction for  $3 < \Delta y < 4$

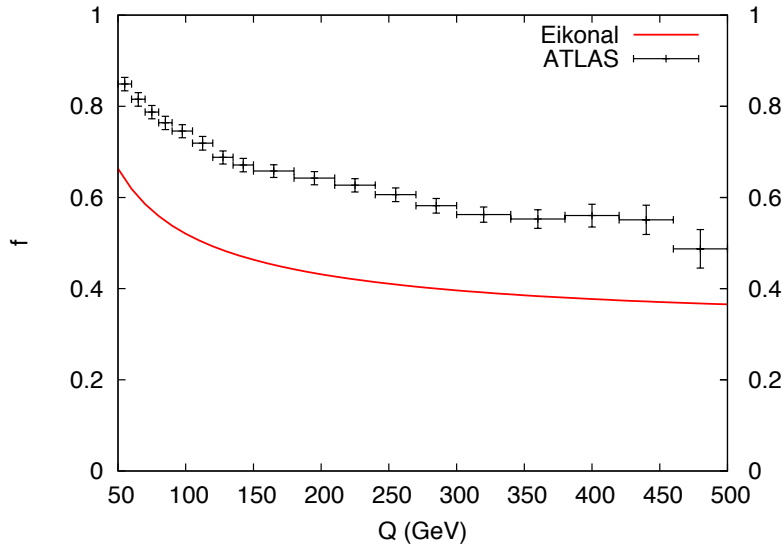


Gap fraction for  $4 < \Delta y < 5$

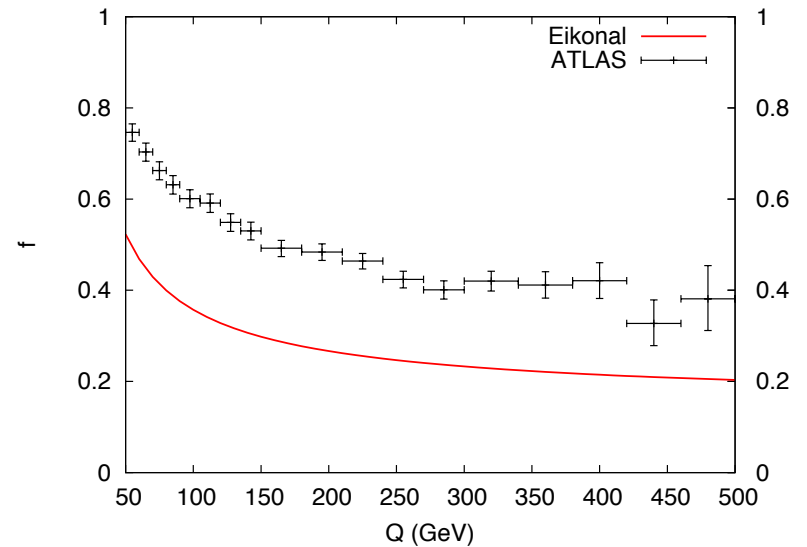


# Data and Resummation

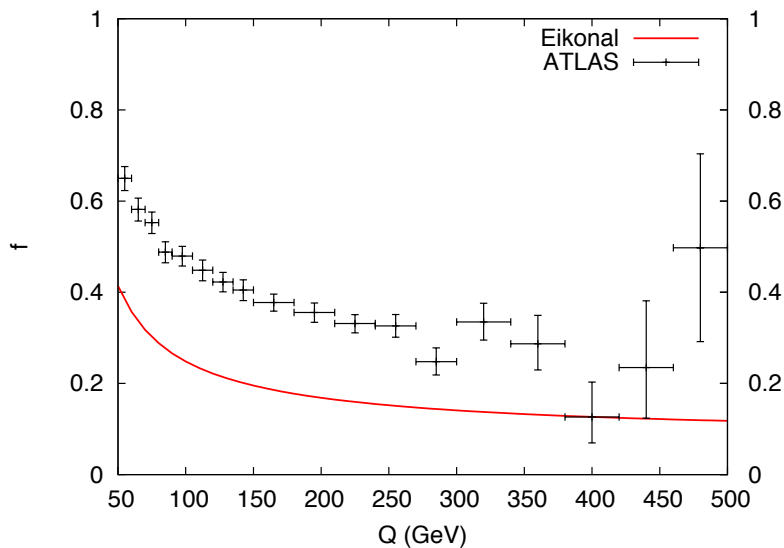
Gap fraction for  $1 < \Delta y < 2$



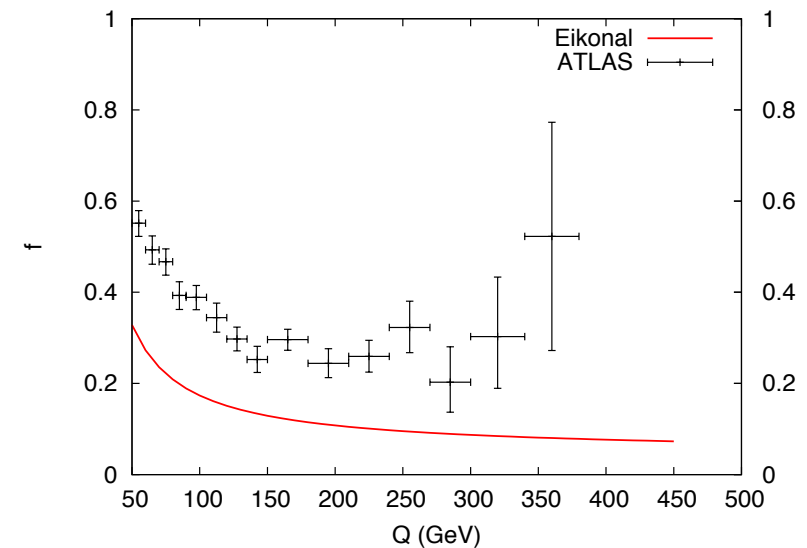
Gap fraction for  $2 < \Delta y < 3$



Gap fraction for  $3 < \Delta y < 4$



Gap fraction for  $4 < \Delta y < 5$





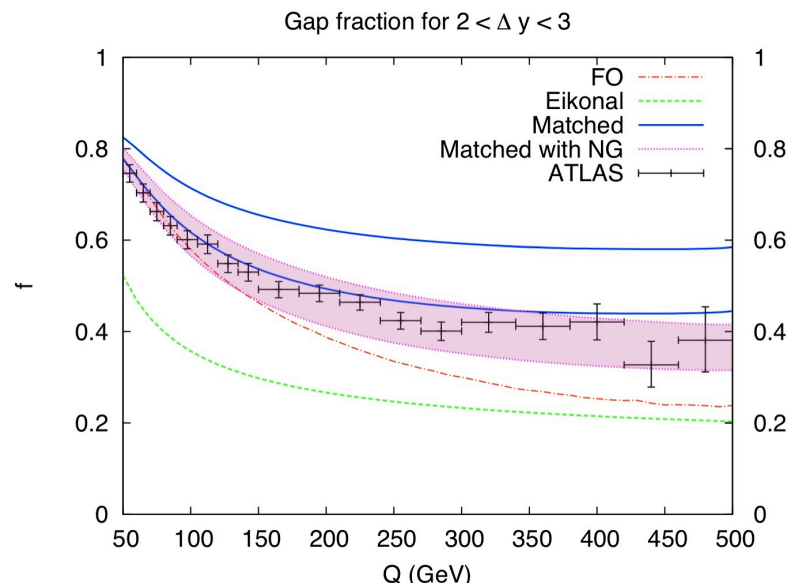
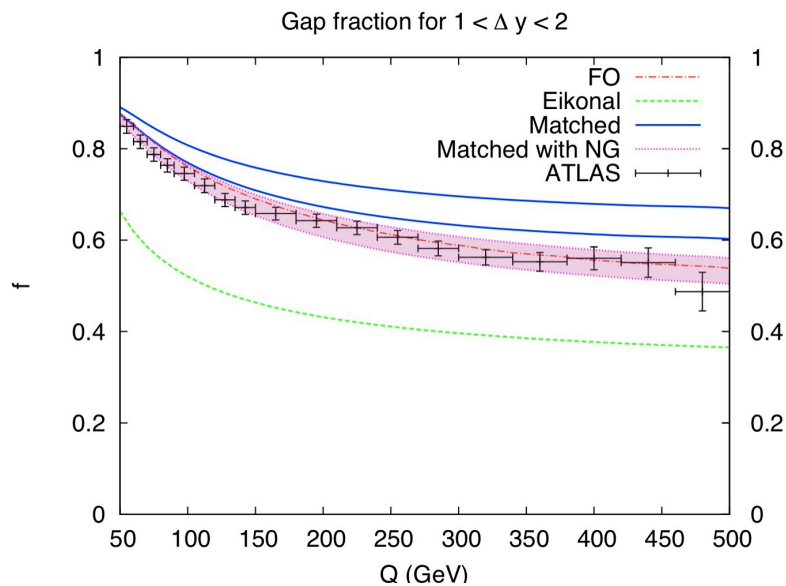
# Resummation and kinematics

- When compared to the data our resummation performs poorly
- Why is that?
  - it has the full colour structure
  - it has approximate non-global logs
  - it does not conserve energy and momentum (eikonal approximation)
- Because of the fairly large value of  $Q_0$  the region considered is not asymptotic and fixed-order effects are not negligible
- Thus we need matching to fixed order

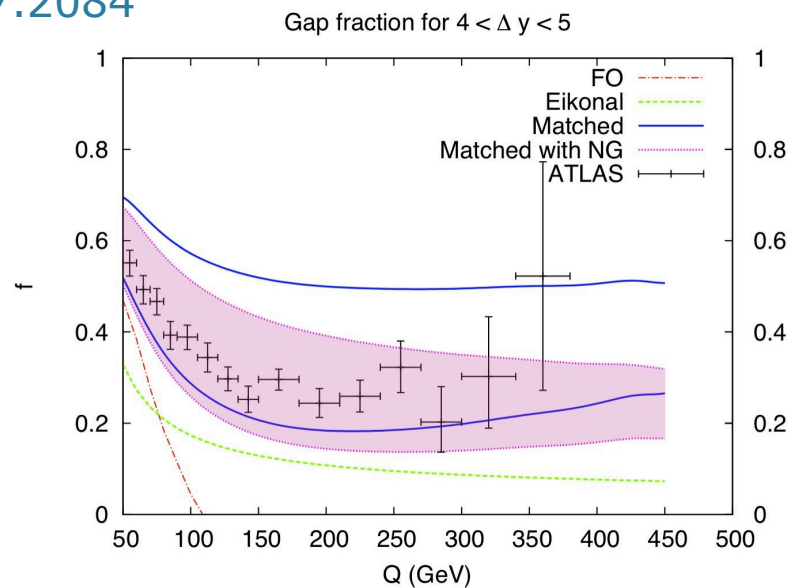
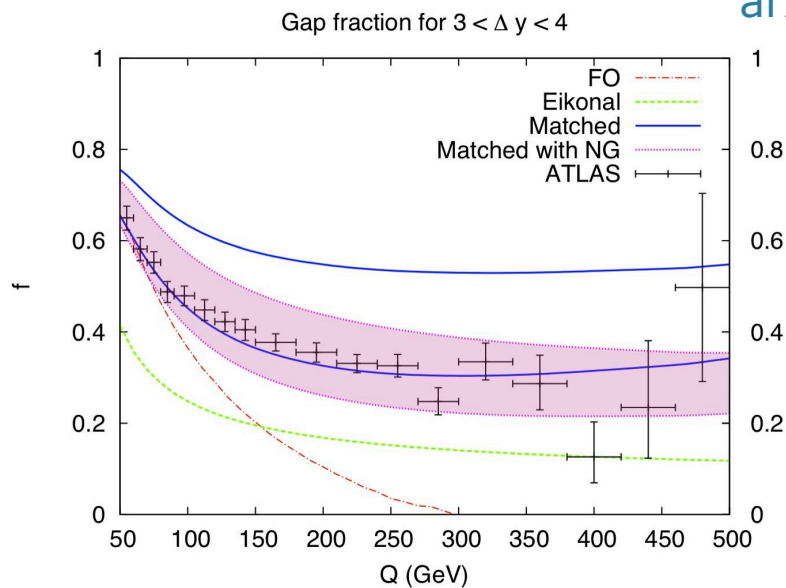
# Improving the resummation

- It turns out that energy-momentum effects are so extreme that naïve matching procedures fail
- We would like to modify our resummation so that energy and momentum are conserved at least for the first (hardest) emission
- The biggest effect comes from a shift in the PDFs  $x$
- We construct a modified resummation that approximately takes into account this shift in  $x$  values
- This does not change the accuracy of our calculation (leading log)

# FO+Resummation

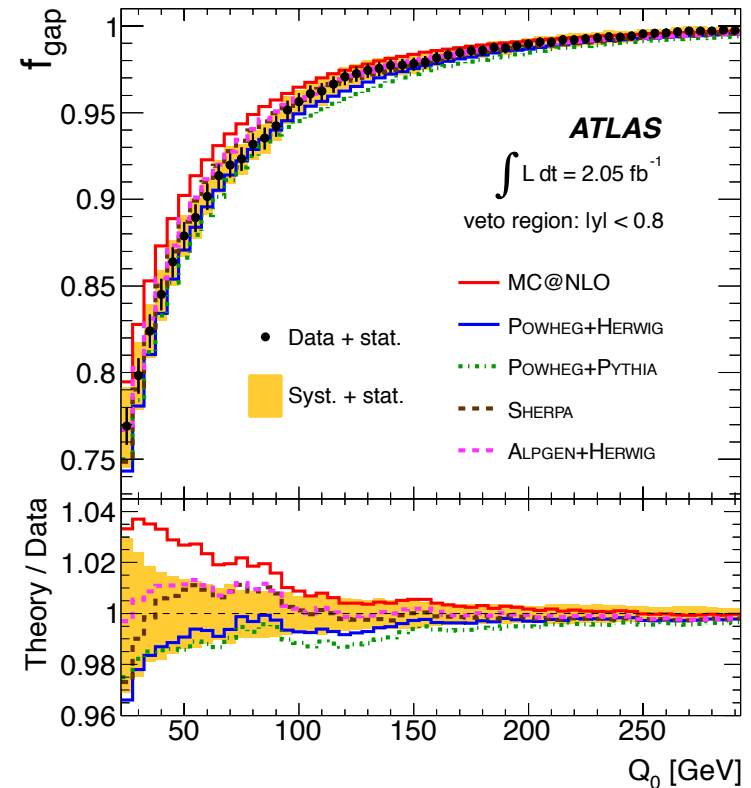


Duran, Forshaw, SM, Seymour  
arXiv:1107.2084



# More complicated final states

- ATLAS performed a measurement of gap events in top pair production
- Significant spread of standard MC
- We are working on prediction for  $Z + 2 \text{ jets} + \text{veto}$
- The structure of the resummation remains the same
- Matching to NLO is possible



ATLAS collaboration  
arXiv:1203.5015

# Conclusions

- I have discussed jet vetoes as a probe colour flow in hard scatterings
- Perturbative choices for  $Q_0$  reduce the influence of the UE
- The gap fraction is very good observable from the experimental viewpoint
- Theoretical issues:
  - resummation of large logs
  - non-global observable
- At the moment large theoretical uncertainties
- Improvement is expected with NLO matching