

MadGolem: automating NLO corrections for New Physics

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K. Mawatari (Vrije U.)

arXiv:1108.1250



arXiv:1203.6358



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Outline

- 1 Motivating MadGolem
- 2 Exploring MadGolem
 - General architecture, modules & flowchart
 - Handling the loops
 - Handling the divergences
- 3 Using MadGolem
 - The user's viewpoint
 - Applications to New Physics
- 4 MadGolem in a nutshell

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AUTOMATION

NEXT-TO-LEADING ORDER

NEW PHYSICS

MadGolem: *raison-d'être*

Why NLO ?

- QCD corrections **quantitatively relevant** : $K \sim 1.5$
- QCD corrections **qualitatively relevant**: scale dependence, normalization & shape of distributions, gluon radiation, new partonic subprocesses . . .

MadGolem: *raison-d'être*

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Why Automation ?

- Many models & processes \leftrightarrow analogue technical challenges
- Cost & time saving, robustness, accessibility
- Eases validation, engages Theory/Experiment interchange

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[Binoth, Gonçalves-Netto, DLV, Mawatari, Plehn, Wigmore, arXiv:1108.1250 [hep-ph]]

- Fully automated calculation of NLO QCD corrections for arbitrary $2 \rightarrow 2$ processes in a generic BSM framework soon to be public !

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LOOPS

GOLEM

LOOPS

QGRAF

MadGOLEM

TREE

MadGraph

IR divergences

**Extended
MadDipole**

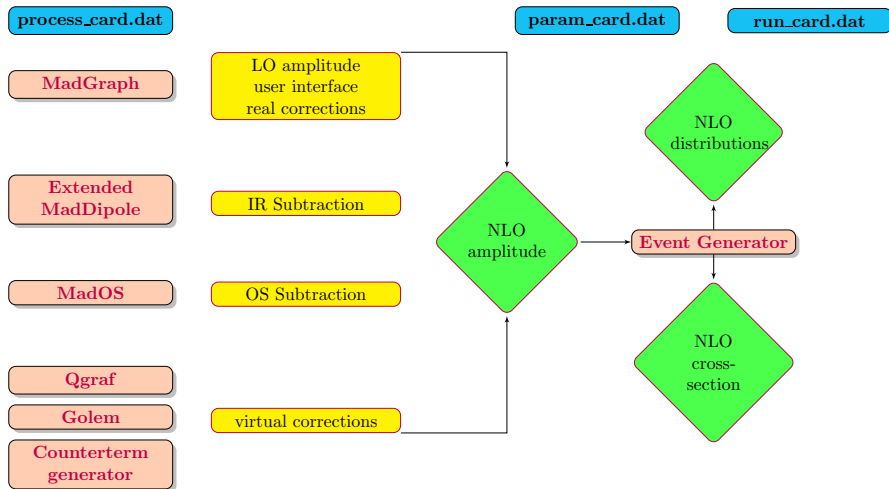
UV divergences

Renormalization

OS divergences

MadOS

MadGolem from inside: modules and flowchart



Handling the loops



GENERATION



Qgraf

[Nogueira]

Model files $\xrightarrow{\text{FORTRAN}}$ Feynman diagrams

Handling the loops

♠ GENERATION ↔ Qgraf [Nogueira]

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♠ TRANSLATION ↔ Qgraf-Golem

Feynman diagrams $\xrightarrow{\text{BASH,PERL,FORM}}$ Amplitude

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vertices propagators color Lorentz structures relative signs

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Amplitude $\xrightarrow{\text{BASH, PERL, FORM, MAPLE}}$ Reduced amplitude

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$$\mathcal{M}^{\text{NLO}} = \underbrace{\mathcal{M}_{[\text{color/helicity/11-function}]}}_{\text{partial amplitudes}} \times \underbrace{\mathcal{B}_{\text{color}} \otimes \mathcal{B}_{\text{hel}} \otimes \mathcal{B}_{\text{1Lfunction}}}_{\text{basis}}$$

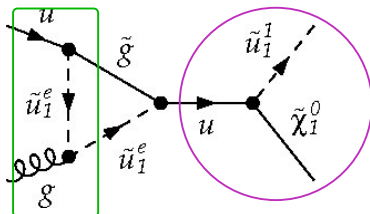
Step 1: Generation of the one-loop amplitude

One-loop amplitude from QGRAF: `qgraf_nlo.dat`

```

+ 1 *
inp([field.u], idx2r2, p1) *
inploreutz(+1, iv2r2L1, p1, ZERO ) *
inpcolor(1, iv2r2C3) *
inp([field.g], idx3r1, p2) *
inploreutz(+2, iv3r1L2, p2, ZERO ) *
inpcolor(2, iv3r1C8) *
out([field.ul], idx1r3, p3) *
outloreutz(+0, iv1r3L0, p3, MUL ) *
outcolor(1, iv1r3C3) *
out([field.n1], idx1r1, p4) *
outloreutz(+1, iv1r1L1, p4, MN1 ) *
outcolor(2, iv1r1C1) *
vertex(iv1,GULN1P ,ONE,
[field.n1], idx1r1, +1, -p4, iv1r1L1, +1, iv1r1C1,
[field.u], idx1r2, +1, p3+p4, iv1r2L1, +3, iv1r2C3,
[field.ulx], idx1r3, -0, -p3, iv1r3L0, -3, iv1r3C3) *
vertex(iv2,GQLGOP ,ONE,
[field.go], idx2r1, +1, k1-p1, iv2r1L1, +8, iv2r1C8,
[field.u], idx2r2, +1, p1, iv2r2L1, +3, iv2r2C3,
[field.ulx], idx2r3, -0, -k1, iv2r3L0, -3, iv2r3C3) *
vertex(iv3,GC ,ONE,
[field.g], idx3r1, +2, p2, iv3r1L2, +8, iv3r1C8,
[field.ul], idx3r2, +0, k1, iv3r2L0, +3, iv3r2C3,
[field.ulx], idx3r3, -0, -k1-p2, iv3r3L0, -3, iv3r3C3) *

```



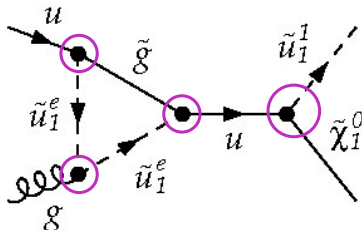
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inp([field.g], idx3r1, p2) *
inplorentz(+2, iv3r1L2, p2, ZERO ) *
inpcolor(2, iv3r1C8) *
out([field.ul], idx1r3, p3) *
outlorentz(+0, iv1r3L0, p3, MUL ) *
outcolor(1, iv1r3C3) *
out([field.n1], idx1r1, p4) *
outlorentz(+1, iv1r1L1, p4, MN1 ) *
outcolor(2, iv1r1C1) *
vertex(iv1,GULNIP ,ONE,
[field.n1], idx1r1, +1, -p4, iv1r1L1, +1, iv1r1C1,
[field.u], idx1r2, +1, p3+p4, iv1r2L1, +3, iv1r2C3,
[field.ulx], idx1r3, -0, -p3, iv1r3L0, -3, iv1r3C3) *
vertex(iv2,GQLGOP ,ONE,
[field.go], idx2r1, +1, k1-p1, iv2r1L1, +8, iv2r1C8,
[field.u], idx2r2, +1, p1, iv2r2L1, +3, iv2r2C3,
[field.ulx], idx2r3, -0, -k1, iv2r3L0, -3, iv2r3C3) *
vertex(iv3,GC ,ONE,
[field.g], idx3r1, +2, p2, iv3r1L2, +8, iv3r1C8,
[field.ul], idx3r2, +0, k1, iv3r2L0, +3, iv3r2C3,
[field.ulx], idx3r3, -0, -k1-p2, iv3r3L0, -3, iv3r3C3) *

```



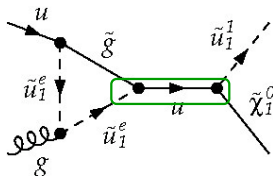
Step 1: Generation of the one-loop amplitude

One-loop amplitude from QGRAF: `qgraf_nlo.dat`

```

vertex(iv4,QLGOM ,ONE,
[field.ux], idx4r1, -1, -p3-p4, iv4r1L1, -3, iv4r1C3,
[field.go], idx4r2, +1, -k1+p1, iv4r2L1, +8, iv4r2C8,
[field.ul], idx4r3, +0, k1+p2, iv4r3L0, +3, iv4r3C3) *
prop([field.u], idx4r1, idx1r2) *
propcolor(+3, iv4r1C3, iv1r2C3) *
proplorentz(+1, p3+p4, ZERO , iv4r1L1, iv1r2L1) *
prop([field.ul], idx2r3, idx3r2) *
propcolor(+3, iv2r3C3, iv3r2C3) *
proplorentz(+0, k1, MUL , iv2r3L0, iv3r2L0) *
prop([field.go], idx4r2, idx2r1) *
propcolor(+8, iv4r2C8, iv2r1C8) *
proplorentz(+1, k1-p1, MGO , iv4r2L1, iv2r1L1) *
prop([field.ul], idx3r3, idx4r3) *
propcolor(+3, iv3r3C3, iv4r3C3) *
proplorentz(+0, k1+p2, MUL , iv3r3L0, iv4r3L0)

```



Step 3: Calculation of the one-loop amplitude

One-loop amplitude upon translation: GRAPH_MGOLEM_LOOP.h

```

# Colour basis has 2 elements.
#
NCOLS := 2:
COL[ 1] := dd(Col022,Col021)*dd(Col1,Col3):
COL[ 2] := dd(Col022,Col3)*dd(Col1,Col021):
NC := 3:
TR := 1/2:
NF := 5:
#
# epsilon_tensor basis has 1 elements.
#
NEPS := 1:
EPSTEN[ 1] := 1:
#
# Function basis has 4 elements.
#
NUM_LOC_FUNS := 4:
FUN[ 1] := BUBd4(S12,0,0):
FUN[ 2] := BUBd4(S12,MUL2,MG02):
FUN[ 3] := BUBd4EPS(S12,0,0):
FUN[ 4] := BUBd4EPS(S12,MUL2,MG02):
#
# 12 helicity amplitudes found
#
NUM_HELIS := 12:
HELI[ 1]:= [1, 1, 5, 1]:
HELI[ 2]:= [1, 1, 5, -1]:
HELI[ 3]:= [1, 1, 5, 1]:
HELI[ 4]:= [1, 1, 5, -1]:
HELI[ 5]:= [1, 1, 5, 1]:
HELI[ 6]:= [1, 1, 5, -1]:
HELI[ 7]:= [1, 1, 5, 1]:
HELI[ 8]:= [1, 1, 5, -1]:
HELI[ 9]:= [1, 1, 5, 1]:
HELI[ 10]:= [1, 1, 5, -1]:
HELI[ 11]:= [1, 1, 5, 1]:
HELI[ 12]:= [1, 1, 5, -1]:

```

Step 3: Calculation of the one-loop amplitude

One-loop amplitude upon translation: GRAPH_MGOLEM_LOOP.h

GRAPH_COEFF has indices: NGRAPH,NHELI,NCOL,NEPSTEN,NFUN

```

GRAPH_COEFF[ 1, 8, 1, 1, 1] := -1/36*(-MUL2*S23+MUL2*MN12+S23^2+S12*S23-MN12*S23)*GULN1P2*GG1^3/Pi^2:
GRAPH_COEFF[ 1, 8, 2, 1, 1] := 1/12*(-MUL2*S23+MUL2*MN12+S23^2+S12*S23-MN12*S23)*GULN1P2*GG1^3/Pi^2:
GRAPH_COEFF[ 1, 8, 1, 1, 2] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 2] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 3] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 3] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 4] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 4] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 5] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 5] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 6] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 6] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 7] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 7] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 8] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 8] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 9] := 1/36*(-MUL2*S23+MUL2*MN12+S23^2+S12*S23-MN12*S23)*GULN1P2*GG1^3/Pi^2:
GRAPH_COEFF[ 1, 8, 2, 1, 9] := -1/12*(-MUL2*S23+MUL2*MN12+S23^2+S12*S23-MN12*S23)*GULN1P2*GG1^3/Pi^2:
GRAPH_COEFF[ 1, 8, 1, 1, 10] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 10] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 11] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 11] := 0:
SPINOR_FAC[ 1, 8 ] := InvSpaa(k1,k2)*InvSpaa(k1,k4)*InvSpaa(k2,k3)*InvSpbb(k1,k3):

```

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GRAPH_COEFF[ 1, 8, 1, 1, 4] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 4] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 5] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 5] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 6] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 6] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 7] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 7] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 8] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 8] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 9] := 1/36*(-MUL2*S23+MUL2*MN12+S23^2+S12*S23-MN12*S23)*GULN1P2*GG1^3/Pi^2:
GRAPH_COEFF[ 1, 8, 2, 1, 9] := -1/12*(-MUL2*S23+MUL2*MN12+S23^2+S12*S23-MN12*S23)*GULN1P2*GG1^3/Pi^2:
GRAPH_COEFF[ 1, 8, 1, 1, 10] := 0:
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GRAPH_COEFF[ 1, 8, 1, 1, 11] := 0:
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GRAPH_COEFF[ 1, 8, 2, 1, 4] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 5] := 0:
GRAPH_COEFF[ 1, 8, 2, 1, 5] := 0:
GRAPH_COEFF[ 1, 8, 1, 1, 6] := 0:
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```

Handling the UV divergences

Including the Counterterms

$$\mathcal{L}_0 \rightarrow \mathcal{L}(Z_\phi^{1/2} \phi, Z_g g) = \mathcal{L}(\phi, g) + \delta \mathcal{L}(\phi, g, \delta Z_\phi, \delta g)$$

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$$\underbrace{\delta \mathcal{L}(\delta Z_\phi, \delta g)}_{\text{Models/vertex_ct.dat}} \Leftrightarrow \underbrace{\Sigma_q, \Sigma_{\bar{q}}, \Sigma_g, \Sigma_{\bar{g}}}_{\text{GOLEMproc/CT_list.map}} @\mathcal{O}(\alpha_s)$$

Models/vertex_ct.dat

GOLEMproc/CT_list.map

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Models/vertex_ct.dat

GOLEMproc/CT_list.map

Renormalization scheme

- $\overline{\text{MS}}$, for the field-strength RCs of the massless particles
- OS , for the field-strength RCs of the massive particles
- $\overline{\text{MS}}/\text{zero-momentum}$, for g_s [Beenakker et al, Berge et al]
- SUSY breaking from Dimensional Regularization restored through additional finite CTs [Martin, Vaughn; Beenakker et al].

Handling the IR divergences

♠ Dipole Subtraction: [Catani, Seymour; Catani, Dittmaier, Seymour, Trócsányi]

$$\sigma = \int_m d\sigma^B + \int_{m+1} d\sigma^R + \int_m \left[\int_1 d\sigma^V \right]$$

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$$\sigma = \int_m d\sigma^B + \underbrace{\int_{m+1} d\sigma^R}_{\int \frac{dk}{k^{1+\epsilon}} \sim \frac{1}{\epsilon_{IR}}, \int \frac{d\theta}{\theta^{1+\epsilon}} \sim \frac{1}{\epsilon_{IR}}} + \int_m \left[\int_1 \underbrace{d\sigma^V}_{\int \frac{dk}{k^{1+\epsilon}} \sim \frac{1}{\epsilon_{IR}}} \right]$$

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- ♣ **Dipole Subtraction:** [Catani, Seymour; Catani, Dittmaier, Seymour, Trócsányi]

$$\sigma = \int_m d\sigma^B + \underbrace{\int_{m+1} d\sigma^R - d\sigma^A}_{\frac{1}{\epsilon_{IR}} - \frac{1}{\epsilon_{IR}}} + \int_m \left[\int_1 \underbrace{d\sigma^V + d\sigma^A}_{\frac{1}{\epsilon_{IR}} - \frac{1}{\epsilon_{IR}}} \right]$$

Local (pointwise) subtraction of the IR poles

- Based on factorization of collinear&soft singularities
- Process-independent
- Analytically integrable over the single-parton phase-space containing the divergences

Handling the IR divergences

- ♣ **Dipole Subtraction:** [Catani, Seymour; Catani, Dittmaier, Seymour, Trócsányi]

$$\sigma = \int_m d\sigma^B + \underbrace{\int_{m+1} d\sigma^R - d\sigma^A}_{\frac{1}{\epsilon_{IR}} - \frac{1}{\epsilon_{IR}}} + \int_m \left[\int_1 \underbrace{d\sigma^V + d\sigma^A}_{\frac{1}{\epsilon_{IR}} - \frac{1}{\epsilon_{IR}}} \right]$$

Local (pointwise) subtraction of the IR poles

- Based on factorization of collinear&soft singularities
- Process-independent
- Analytically integrable over the single-parton phase-space containing the divergences

$$d\sigma^A = \sum_l f(\epsilon_{IR}) \times d\sigma_l^B \otimes V_l$$

$$\int_{m+1} d\sigma^A = \sum_l \int_m f(\epsilon_{IR}) \times d\sigma_l^B \otimes \int_1 V_l = f(\epsilon_{IR}) \times \int_m d\sigma_l^B \otimes I$$

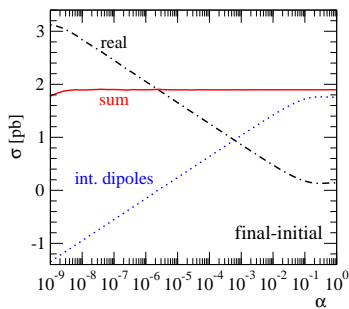
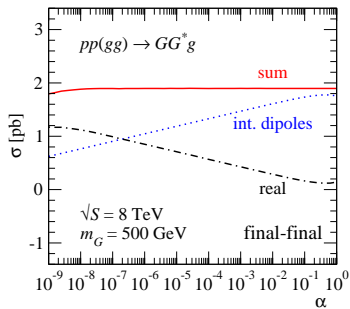
ISUSY (including α -dependence [Nagy, Trócsányi]) available © MadGolem

BSM dipoles: numerical performance

Validation strategies

- α dependence [Nagy, Trócsányi] & behavior in the soft and collinear limits, for all **dipoles**
- Numerical stability and convergence

Checking α -dependence for $pp \rightarrow GG^*$



Handling the OS Divergences

Automatized OS Subtraction available @ MadGolem [Beenakker, Höpker, Spira, Zerwas]

$$\begin{aligned}
 d\sigma^R &\longrightarrow d\sigma^R \Big|_{\text{regular}} + d\sigma^{R*} \Big|_{\mathcal{O}(1/(p^2-m^2))} \\
 ug \rightarrow \tilde{u}_L \tilde{\chi}_{1j} &+ uu \rightarrow \tilde{u}_L \tilde{u}_L^* \rightarrow \tilde{u}_L \tilde{\chi}_{1j}
 \end{aligned}$$

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The left diagram shows a gluon exchange between two u quarks. A ghost line (dashed) is attached to the gluon line at a vertex labeled $\tilde{\chi}_1^0$. The ghost line connects to another vertex labeled $\tilde{\chi}_1^1$, which is connected to a u quark line. The diagram is labeled $uu \rightarrow \tilde{u}_L \tilde{u}_L^* \rightarrow \tilde{u}_L \tilde{\chi}_{1j}$.

The right diagram shows a gluon exchange between two u quarks. A ghost line (dashed) is attached to the gluon line at a vertex labeled $\tilde{\chi}_1^1$. The ghost line connects to another vertex labeled $\tilde{\chi}_1^1$, which is connected to a u quark line. The diagram is labeled $uu \rightarrow \tilde{u}_L \tilde{u}_L \times \mathcal{B}(\tilde{u}_L \rightarrow \tilde{\chi}_{1j})$.

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$$\frac{d\sigma^{OS}}{dM^2} = \sigma^{Born} \frac{m_{\tilde{u}_L} \Gamma_{\tilde{u}_L} / \pi}{(M^2 - m_{\tilde{u}_L}^2) + m^2 \Gamma_{\tilde{u}_L}^2} + \mathcal{O}\left(\frac{1}{(M^2 - m_{\tilde{u}_L}^2)}\right)$$

- Pointwise subtraction of the OS poles – analogue to CS dipoles
- Avoids double-counting & preserves gauge invariance & spin correlations
- $\Gamma_{\tilde{u}_L}$ as regulator \Rightarrow dependence cancels in the final results

On-shell subtraction: numerical performance

Validation strategies

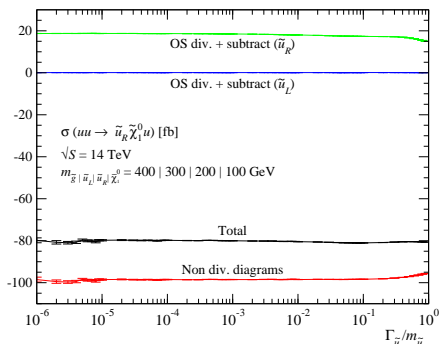
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On-shell subtraction: numerical performance

Validation strategies

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Performance of the OS Subtraction: $pp(uu \rightarrow \tilde{u}_R \tilde{\chi}_1 u)$



Outline

- 1 Motivating MadGolem
- 2 Exploring MadGolem
 - General architecture, modules & flowchart
 - Handling the loops
 - Handling the divergences
- 3 Using MadGolem
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 - Applications to New Physics
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Running MadGolem: the user's viewpoint

3-stage procedure – 3 interfaces ↔ 3 executables

Stage 1: DEFINING THE PROCESS

process_card ↔ ./newprocess_nlo

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Stage 2: COMPUTING THE AMPLITUDE

./run_golem_pl

♠ At this point the user is able to:

- Select diagram topologies ⇒ detailed analysis of the virtual corrections
- Access the **analytical output** in several stages ⇒ very useful for cross-checking (and to dig out some physics!)

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Stage 3: EVALUATING THE CROSS-SECTIONS

param_card.dat, run_card.dat ↔ ./generate_events_nlo 2 2 myrun

Running MadGolem: the user's viewpoint

♠ And the user retrieves the results !

MadGolem results

$s = 8533.480 \pm 0.793(\text{ab})$

$K\text{-factor} = (P1+P2+P3)/P1 = 1.119$

Graph	Cross Sect(ab)	Error(ab)	Events (K)	Eff	Unwgt	Luminosity
Sum	8533.480	0.793	0	0.0		
LEADING ORDER						
P1_e-e+_ululx	7625.900	0.506	0	0.0		0.00
total LO = 7625.8999999999996						
NLO CONTRIBUTION: Virtual part						
P2_e-e+_ululxg	578.990	0.068	0	0.0		0.00
total NLO (virtual part)= 578.990000000000001						
NLO CONTRIBUTION: Real part						
P3_e-e+_ululxg	328.590	0.219	0	0.0		0.00
total NLO (real part) = 328.590000000000003						

Exploring New Physics with MadGolem

First **complete fully automated NLO calculations** of **BSM $2 \rightarrow 2$**

Exploring New Physics with MadGolem

First complete fully automated NLO calculations of BSM $2 \rightarrow 2$

$$pp \rightarrow \tilde{q}\tilde{\chi}_0$$

arXiv:1108.1250

$$pp \rightarrow GG^*$$

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Phenomenological analysis includes

- Total rates & K factors to NLO
- Structure of NLO corrections
- scale dependence
- parameter space dependence
- Distributions
- Fixed-order NLO VS multi-jet merging comparisons

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Don't miss the talk by Dorival Goncalves-Netto !

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Take-home ideas

MadGolem

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AUTOMATION

NLO

NEW PHYSICS

♠ completely **AUTOMATES** the calculation of **NLO QCD corrections** for **generic BSM $2 \rightarrow 2$ processes** and their interface to Monte Carlo event generators

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Feynman diagrammatic / fully analytical approach

♠ Provides a **3-COMMAND PATHWAY** from BSM to (parton-level) **event rates** and **distributions** at NLO.

- **Generating** the amplitude: `./newprocess_nlo`
- **Processing** the amplitude `perl run_golem.pl`
- **Evaluating** the cross-section: `./bin/generate_events_nlo 2 2 myprocess`

Closing remarks

MadGolem highlights

- Fully analytical procedure
- BSM-suitable loop calculator
- Broad coverage of spin & color structures
- Automated OS Subtraction
- Complete support of NLO QCD calculations for the SM, the MSSM and several other extensions.
 - SUSY dipoles (with α dependence)
 - UV counterterms & SUSY restoration
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Public code release in $\mathcal{O}(\text{months})$

Farewell

MadGolem contributes to extending bridges



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Theory

Experiment

Farewell

MadGolem contributes to extending bridges



Theory

THANKS A LOT !!

Experiment