

keV Warm Dark Matter and Composite Neutrinos

The background features a large, faint watermark of the Cornell University seal. The seal is circular with the text "CORNELL UNIVERSITY" at the top and "FOUNDED A.D. 1865" at the bottom. In the center is a shield with a book and a sun. Overlaid on the seal is the text "Dean Robinson", "Cornell University", and "PHENO May 2012".

Dean Robinson

Cornell University

PHENO May 2012

Based on: 1009:2781 (Y. Grossman and DR, JHEP **1101** 132);
1205.0569 (DR and Y. Tsai).

Background

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Today:

- keV *elementary* sterile neutrinos with correct mixing angles for 'resonantly produced' WDM are a natural component of composite neutrino scenario.
- Supercooled sudden confinement can produce entropy for production by entropy-diluted thermal freeze out.

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confine

Λ

chiral bound states

$$\chi^n \sim G'_F$$
$$\text{EFT } \chi^n \rightarrow \Lambda^{3(n-1)/2} n_R$$

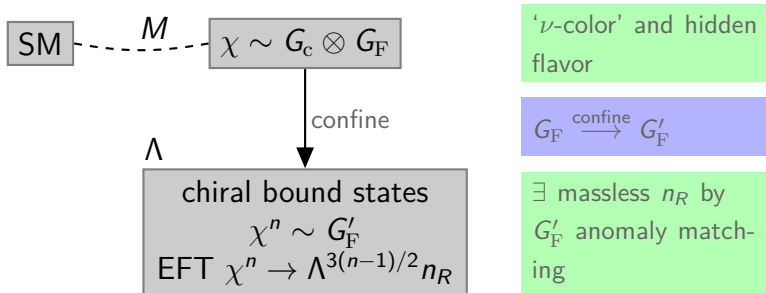
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$$G_F \xrightarrow{\text{confine}} G'_F$$

\exists massless n_R by G'_F anomaly matching

Composite Neutrino Scenario

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No renormalizable operators coupling G_C singlets to SM below M .
Leads to **light Dirac masses** after confinement.

$$\frac{\lambda}{M^{3(n-1)/2}} \bar{L}_L \tilde{\phi} \chi^n \xrightarrow{\text{confinement}} \lambda \left[\frac{\Lambda}{M} \right]^{3(n-1)/2} \bar{L}_L \tilde{\phi} n_R \equiv \varepsilon$$

Light Dirac Neutrinos

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- **Light Dirac neutrinos!** Mass $\sim v\epsilon^{3(n-1)/2}$.

Extended Hidden Sector

- Extended hidden sector of chiral G_C singlets, $\xi \sim G_F$, are a generic feature.
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- Sterile neutrinos w/ suppressed ξ mass scale $\sim \Lambda \epsilon^{(3m-2)/2}$. Just like quarks and leptons in Extended Technicolor.

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- ξ_R SM coupling just like n_R

$$\frac{1}{M^{3m/2}} \bar{L}_L \tilde{\phi} \chi^m \xi \xrightarrow{\langle \chi^m \rangle} \epsilon^{3m/2} \bar{L}_L \tilde{\phi} \xi_R .$$

keV Warm Dark Matter

Spectrum

composite

pions

0

SM

active ν

$$\nu \epsilon^{3(n-1)/2} \sim 0.05 \text{ eV}$$

extended

ξ sterile ν

$$m_d \sim \Lambda \epsilon^{(3m-2)/2}$$

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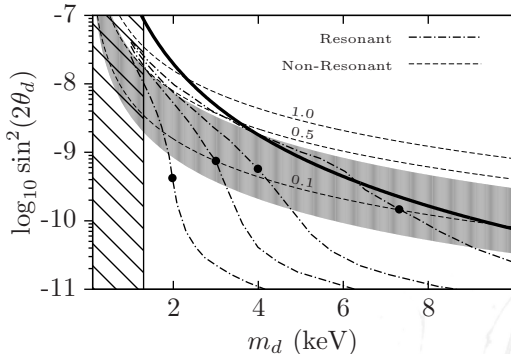
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$\xi_{L,R}$ mass and active-sterile mixing angle (light grey) for $m = n - 1$ theories

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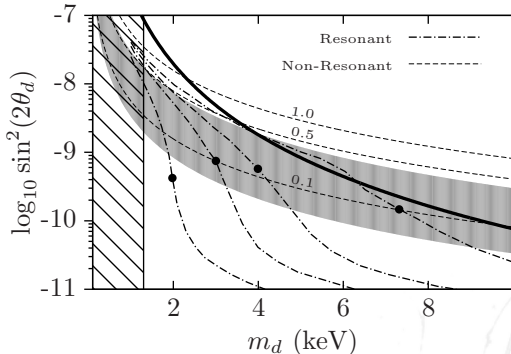
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$\xi_{L,R}$ mass and active-sterile mixing angle (light grey) for $m = n - 1$ theories

- Bound state- ξ -SM decouplings are complete by **TeV** scale.
- If post-inflation reheating \sim TeV; natural resonantly produced WDM.
- For $n = 3$ and $m = 2$: $\Lambda \sim$ **TeV** and $M \sim 10^4$ TeV.

Entropy Dilution from Confinement

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- ξ freeze out relic density with **entropy dilution γ**

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 - ξ freeze out
 - confinement
 - SM-bound state decoupling

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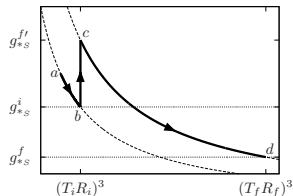
- Can choose ordering at TeV
 - ξ freeze out \leftarrow **Produce Ω_d**
 - confinement \leftarrow **Source of entropy dilution γ**
 - SM-bound state decoupling \leftarrow **Bound states and SM both warmer than DM.**

Entropy Dilution from Confinement

Bounds

- Entropy production sufficient for WDM, if **sudden supercooling**

$$\frac{T_c}{T_i} \geq 6.3 \left(\frac{2 \times 10^2}{g_{*S}^d} \right)^{1/3} \left(\frac{m_d}{5 \text{ keV}} \right)^{1/3}$$



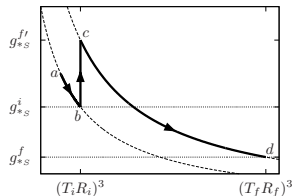
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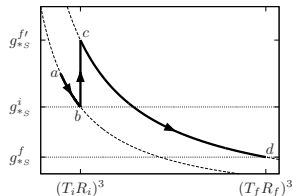
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- Lyman- α

$$m_d > 1.3 \text{ keV} .$$

Summary

- Active neutrinos can be light if RH neutrino is composite.
- Elementary keV sterile neutrinos with 'correct' mixing angles are natural ingredient of composite Dirac neutrino scenario.
- Could also have entropy-diluted thermal freeze out, with entropy from sudden supercooled confinement of composite neutrino sector.

Thank You!