



Damping Rings

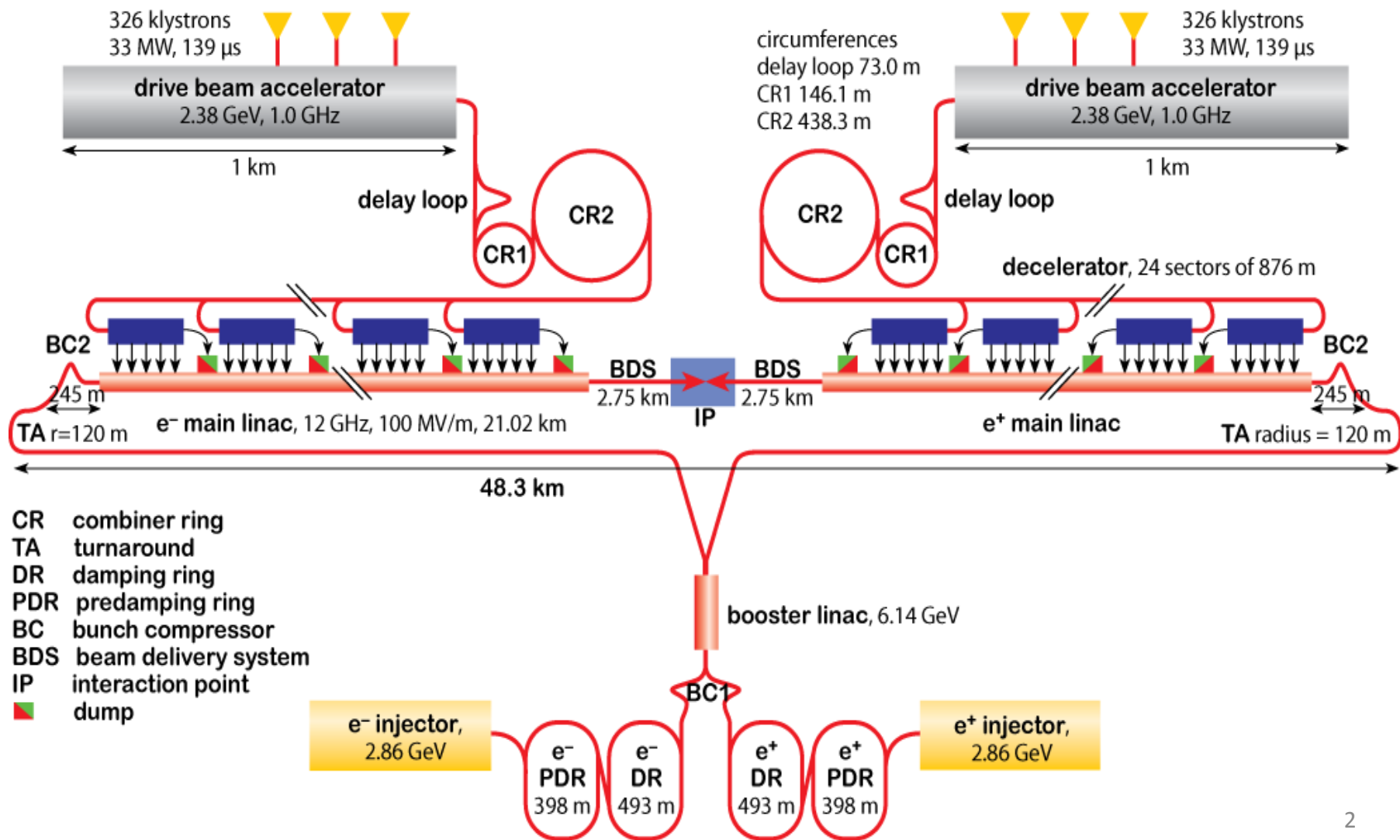


Impedance budget and effect of chamber coating on CLIC DR beam stability

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Acknowledgements
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CERN

Overall layout 3 TeV





Damping Rings



COLLECTIVE EFFECTS STUDIED/UNDER STUDY:

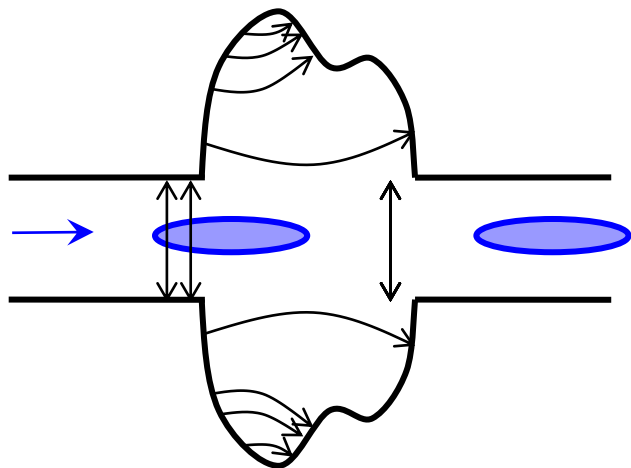
Effects caused by the presence of a large number of particles in the beam leading to the creation of fields acting back on the beam

- SPACE CHARGE AND IBS
- ELECTRON CLOUD
 - BUILD UP AND BEAM STABILITY
 - BROAD BAND IMPEDANCE BUDGET
- SINGLE BUNCH INSTABILITIES → WAKE FIELDS/IMPEDANCE
 - HIGH FREQUENCY RESISTIVE WALL
 - BROAD BAND IMPEDANCE BUDGET
- COUPLED BUNCH INSTABILITIES
 - LOW FREQUENCY RESISTIVE WALL
 - FAST IONS INSTABILITIES

✓ Estimate the instabilities thresholds

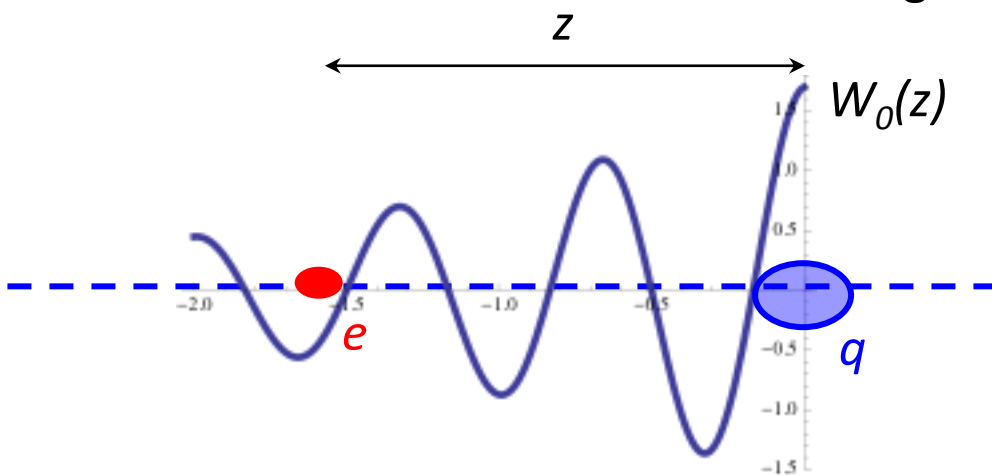
✓ Limit the achievable beam current and the performance of the DR

WAKE FIELDS/IMPEDANCE



Origin of wake fields

- ✓ Geometric discontinuities
- ✓ Pipe with finite conductivity
- Act back on the beam leading to instabilities, energy loss
- The interaction of a bunch of charged particles with the surroundings and therefore the energy loss is expressed in terms of impedance
- Estimate the impedance of each element in the ring



$$\int_0^L F_{||}(s, z) ds = -eqW_{||}(z)$$

$$Z_{||}(\perp)(\omega) \equiv \frac{1}{c} \int_{-\infty}^{\infty} dz e^{-i\omega z/c} W_{||}(\perp)$$



Outlook



- Simulation
- Analysis results
- Summary- conclusion
- Next steps

1. Broadband Model (DR):

- First approximation
- Used to model the whole ring
- Scan over **impedance to define an instability threshold** → Estimate the impedance budget

2. Thick wall in wigglers (Resistive wall model)

- Expected to be a strong impedance source (6.5 mm radius)
 - Copper
 - Stainless steel
 - Effect of coating
- Check how much is the contribution to the total impedance budget



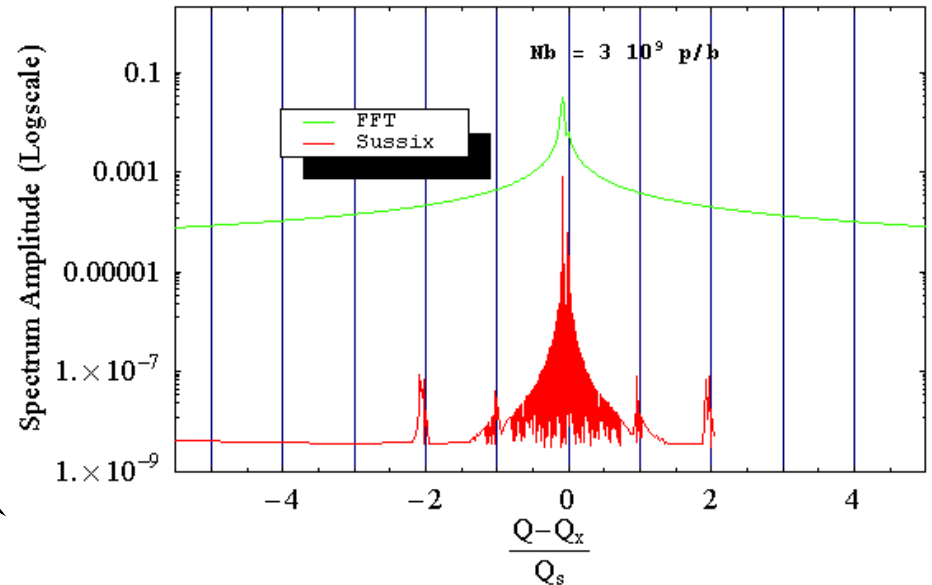
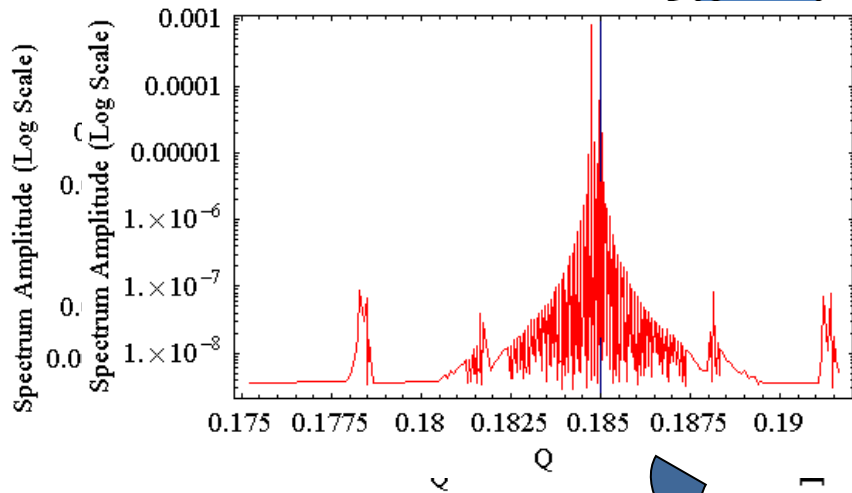
Simulation



- Single bunch collective phenomena associated with impedances (or electron cloud) can be simulated with the **HEADTAIL code**
- Beam and machine parameters required in the input file
- Effect of the impedance is simulated as a single kick to the bunch at a certain point of the ring
- HEADTAIL computes the evolution of the bunch centroid as function of number of turns simulated

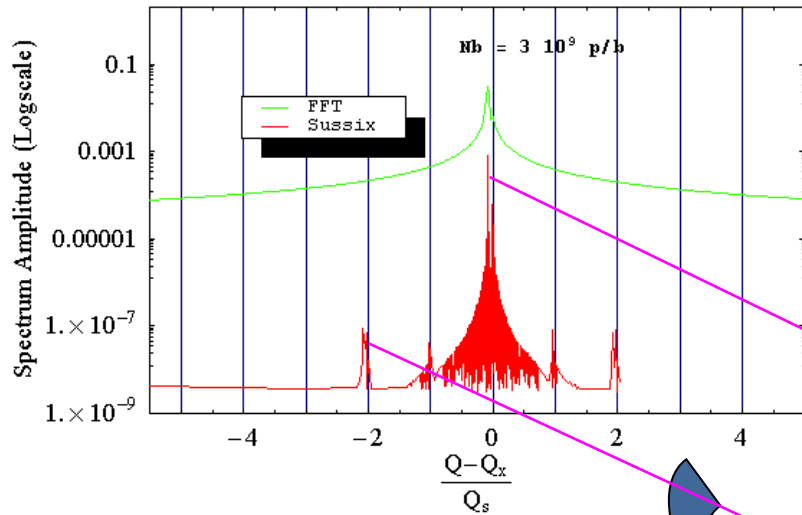
Methods : *What to do with HEADTAIL outputs ?*

1. Extract the position of the centroid of the bunch (vertical or horizontal) turn after turn \rightarrow simulated BPM signal
2. Apply a classical FFT to this simulated BPM signal (x)
3. Apply SUSSIX* to this same simulated BPM signal (actually $x - j \beta_x x'$)
4. Translate the tune spectrum by $Q_{x0}=0$ and normalize it to Q_s

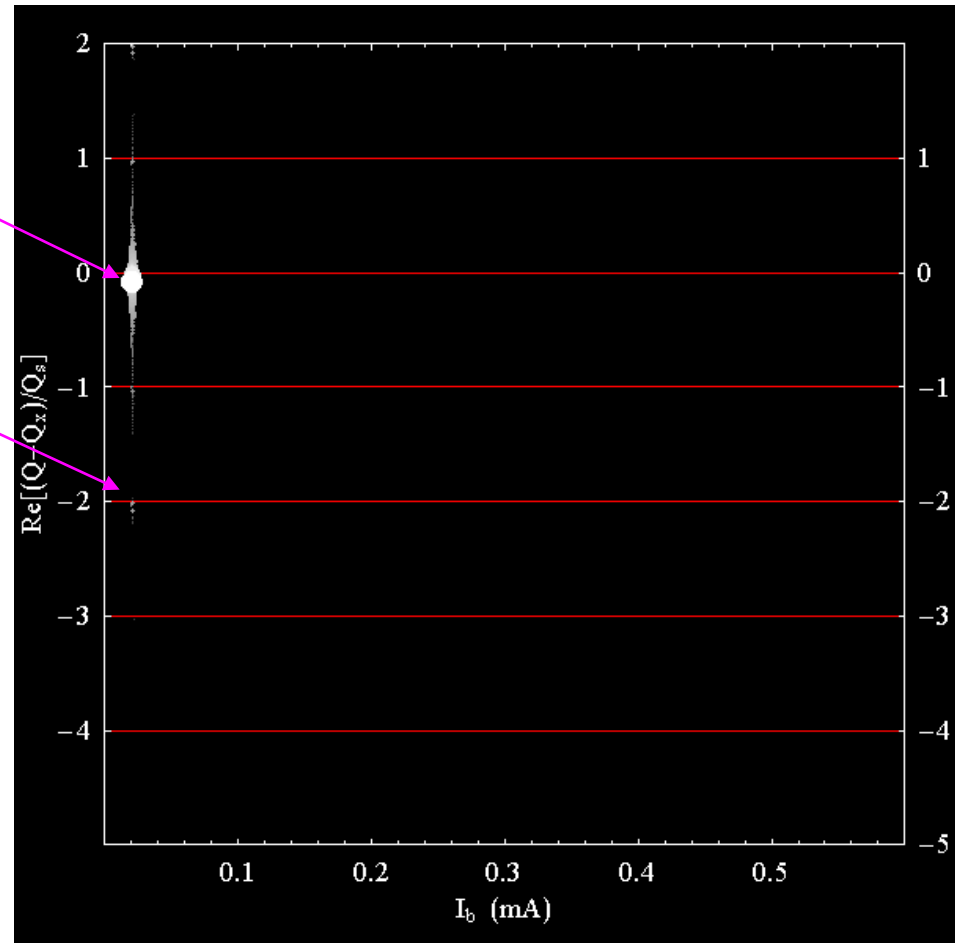


Another visualization of the tune spectrum

for $N_b = 3 \cdot 10^9$ p/b ($I_b = 0.02$ mA)



Displaying the Sussix spectrum on one line per bunch intensity



The dots are brighter and bigger if the amplitude is larger

New update of the lattice design at 3 TeV

Parameters	1GHz	2GHz
Energy [GeV]	2.86	2.86
Circumference [m]	427.5	427.5
Energy loss/turn [MeV]	3.98	3.98
RF voltage [MV]	5.1	4.5
Stationary phase [$^{\circ}$]	51	62
Natural chromaticity x/y	-115/-85	-115/-85
Momentum compaction factor	1.3e-4	1.3e-4
Damping time x/s [ms]	2/1	2/1
Number of dipoles/wigglers	100/52	100/52
Cell/dipole length [m]	2.51/0.58	2.51/0.58
Dipole/wiggler field [T]	1.0/2.5	1.0/2.5
Bend gradient [$1/m^2$]	-1.1	-1/1
TME phase advance x/z	0.408/0.05	0.408/0.05
Bunch population [10^9]	4.1	4.1
IBS growth factor x/z/s	1.5/1.4/1.2	1.5/1.4/1.2
Hor.Ver. norm. emittance [nm.rad]	456/4.8	472/4.8
Bunch length [mm]	1.8	1.6
Longitudinal emittance [keVm]	6.0	5.3
Space charge tune shift	-0.10	-0.11

Simulation Parameters

- $\langle \beta_x \rangle = 3.475$ m (DR)
- $\langle \beta_y \rangle = 9.233$ m (DR)
- $\langle \beta_x \rangle = 4.200$ m (wigglers)
- $\langle \beta_y \rangle = 9.839$ m (wigglers)
- Bunch length $1\sigma = 1.8$ mm
- $Q_x = 48.35$, $Q_y = 10.40$,
 $Q_s = 0.0057$

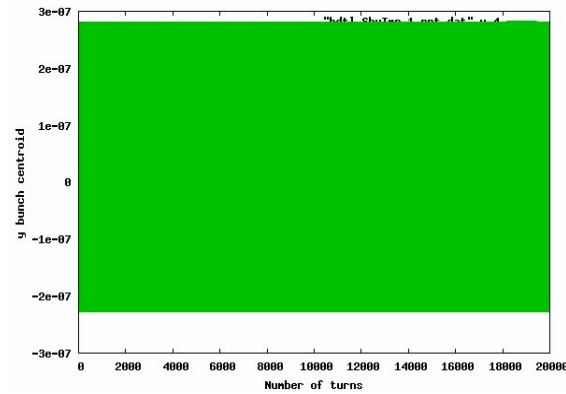
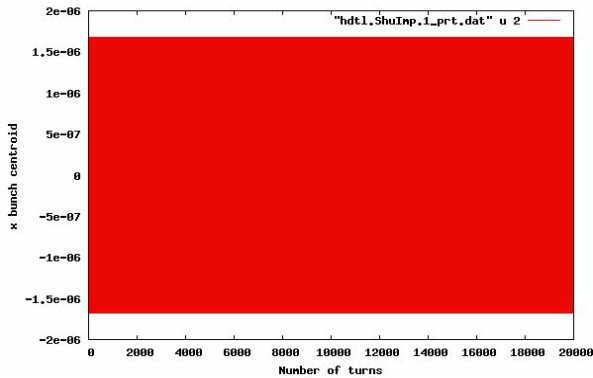


Broadband model



- Model all the DR
- Round (the impedance source is assumed to be identical in the horizontal and vertical plane)
- Average beta functions used: $\langle \beta_x \rangle = 3.475$ m, $\langle \beta_y \rangle = 9.233$ m
- Scan over impedance, from 0 to 20 M Ω /m, in order to **define the instability threshold** \rightarrow **estimate the impedance budget**

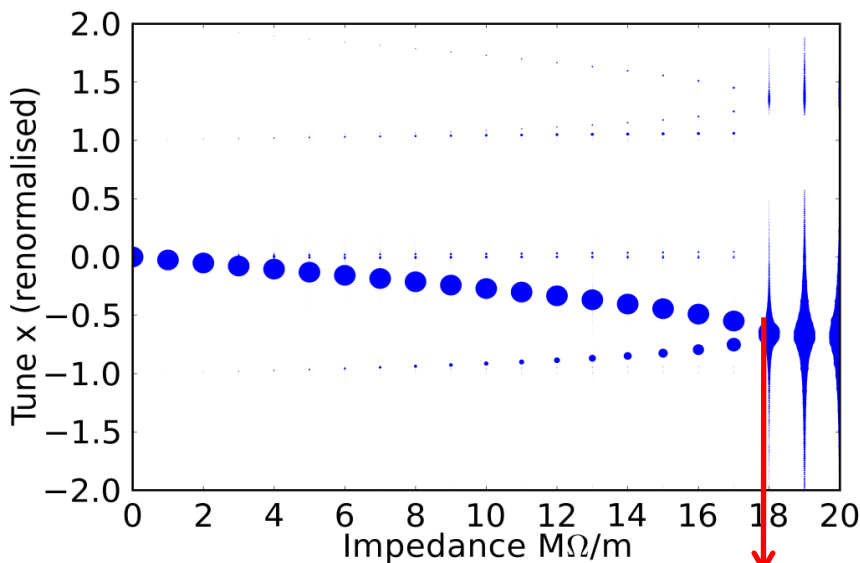
Horizontal and vertical motion



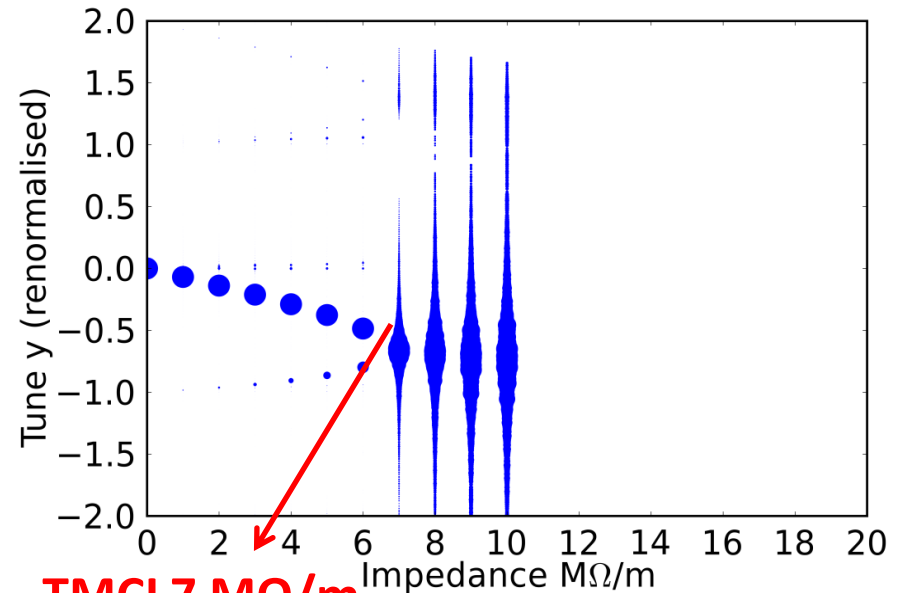
- Centroid evolution in x and y over the number of turns, for different values of impedance
- **Zero chromaticity**

➤ As the impedance increases, an instability occurs

Mode spectrum of the horizontal and vertical coherent motion as a function of impedance

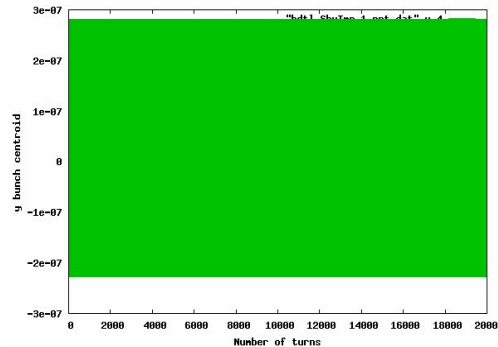
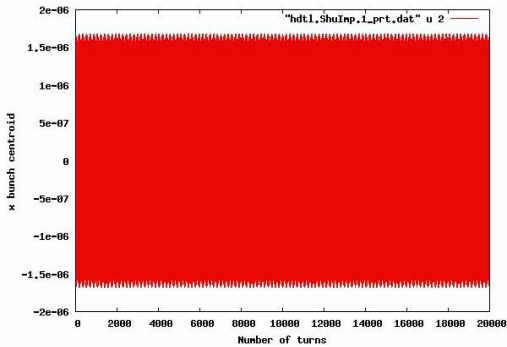


TMCI 18 $M\Omega/m$



TMCI 7 $M\Omega/m$

Horizontal and vertical motion

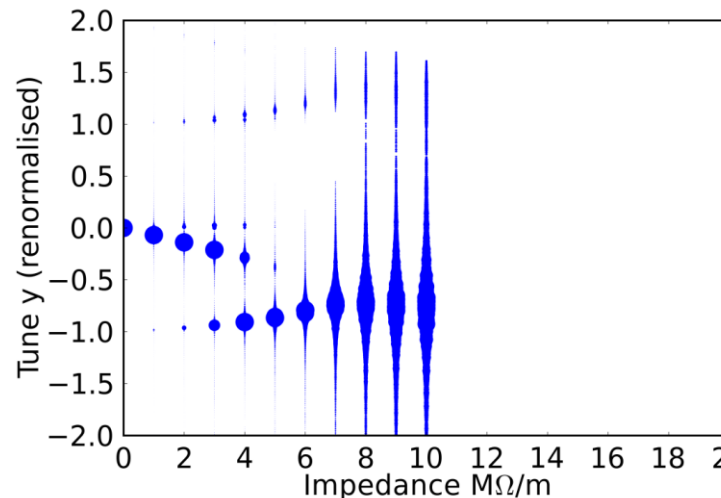
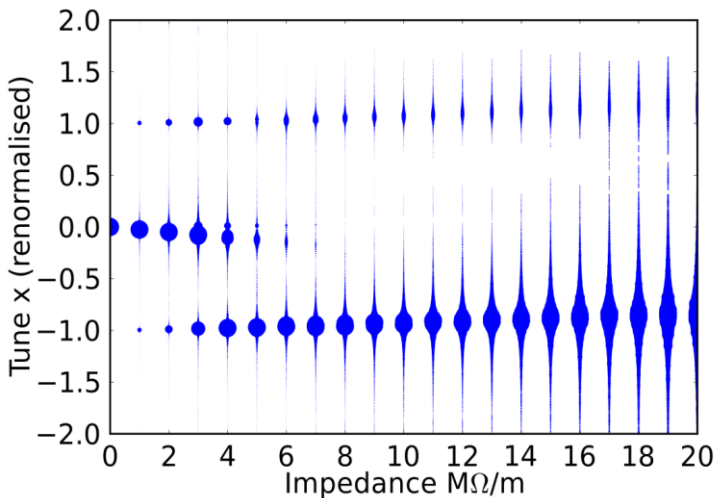


- Operate with positive chromaticity

Horiz.chrom. ξ_x	0.018
Vert. chrom. ξ_y	0.019

➤ Instability growth in both planes

Mode spectrum of the horizontal and vertical coherent motion as a function of impedance



- No mode coupling observed
- Higher TMCI thresholds
- Mode 0 is damped
- Higher order modes get excited ($m = -1$)

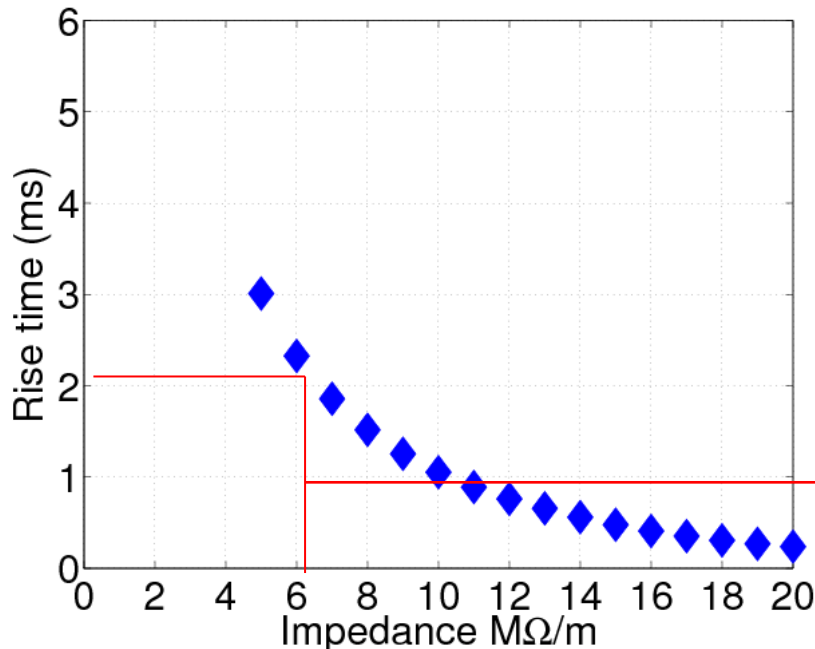
➤ Presence of chromaticity makes the modes move less, no coupling

➤ Another type of instability occurs, called the head-tail instability

■ Instability threshold?

- No TMCI instability (fast), therefore no direct observation from the mode spectrum of the impedance threshold
- **Need to calculate the rise time** ($=1/\text{growth rate}$) of the instabilities (damping is not implemented in HEADTAIL)
- The instability growth rate is calculated from the exponential growth of the amplitude of the bunch centroid oscillations

Rise time– x plane



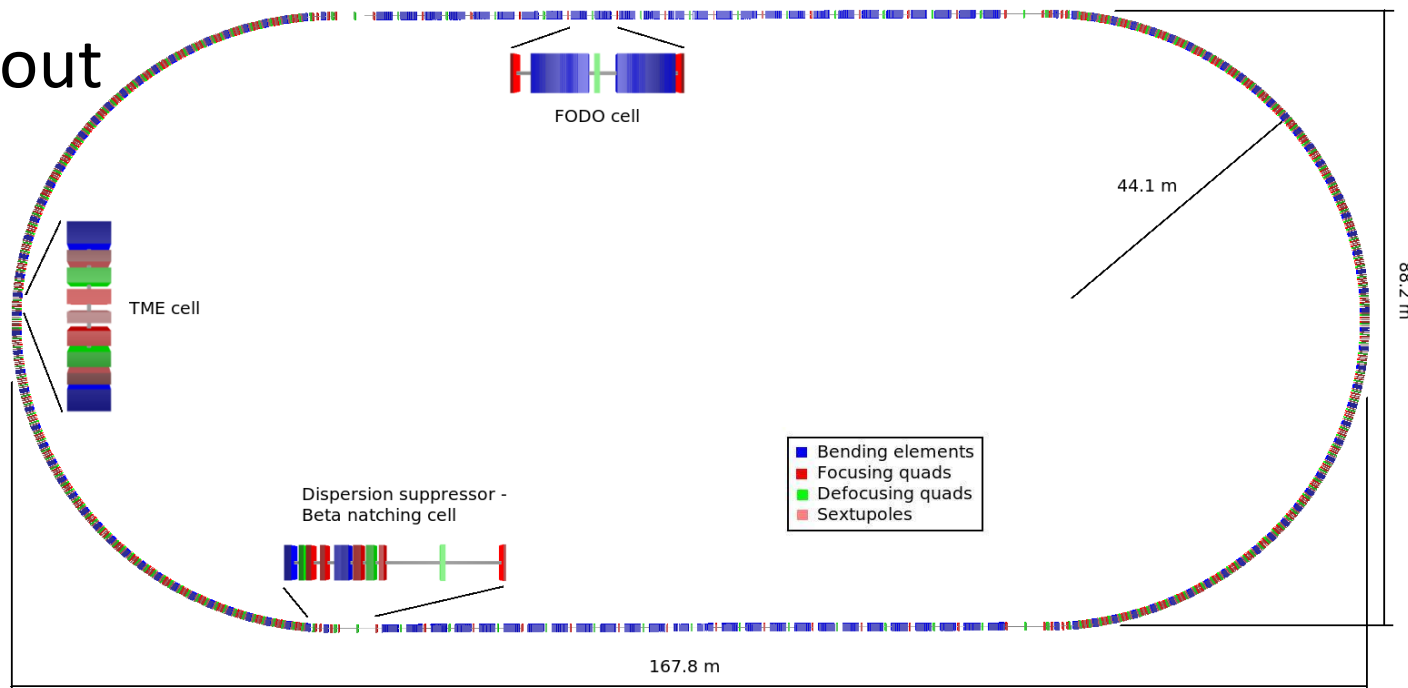
- If **the rise time < damping time**, the instability is faster than the damping mechanism
- **Damping time $\tau_x = 2$ ms**

Threshold ~ 6.5 MΩ/m

Chromaticity ξ_x / ξ_y	Impedance threshold M Ω /m	
	x	y
0/0	18	7
0.018/ 0.019	6.5	6
0.055/ 0.057	4	4
0.093/ 0.096	5	3
-0.018/ -0.019	4	5
-0.055/ -0.057	2	2
-0.093/ -0.096	2	2

- Chromaticity make the modes move less, therefore it helps to avoid coupling (move to a higher threshold)
- Still some modes can get unstable due to impedance
- As the chromaticity is increased, higher order modes are excited (less effect on the bunch)
- The goal is to operate at 0 chromaticity which allows for a larger impedance budget (7 M Ω /m)
- But since chromaticity will be slightly positive, a lower impedance budget has to be considered, 4 M Ω /m
- SPS, 7 km, 20 M Ω /m

DR layout



$C = 427.5$ m, $L_{\text{wigglers}} = 104$ m Wigglers occupy $\sim \frac{1}{4}$ of the total ring...

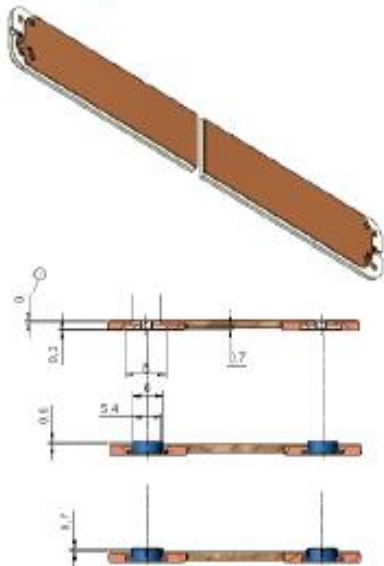
- Because of the small aperture of 6.5 mm compared to 9 mm of the rest of the ring, the contribution of the wigglers is expected to take a significant fraction of the available impedance budget of 4 M Ω /m.
- Moreover, layers of coating materials can significantly increase the resistive wall impedance.

Beware...

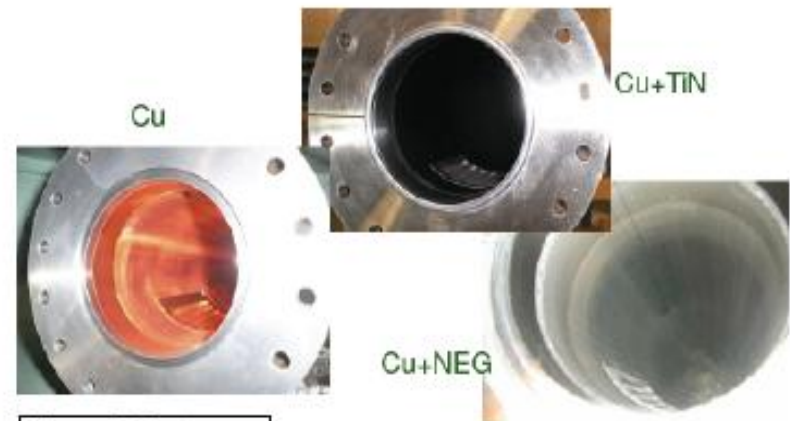
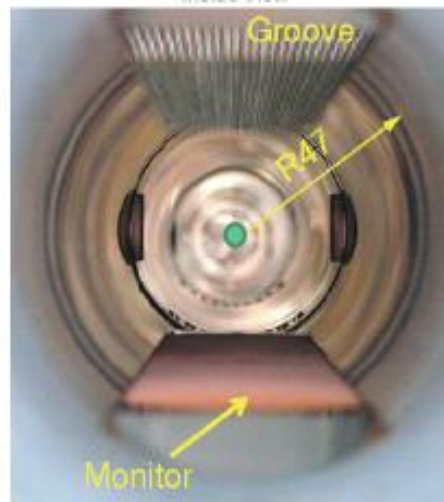
From LER 2010 Workshop

- Some techniques to fight electron cloud (or have good vacuum) do not come for free and can be serious high frequency impedance sources:
 - Surface coating with low SEY materials (Cu, NEG, TiN, a-C)
 - Non-smooth surfaces (natural roughness, grooves)
 - Clearing electrodes
 - NEG coating for pumping

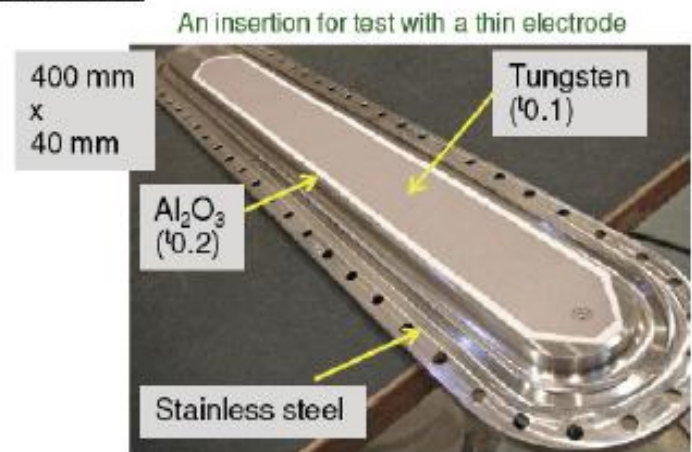
Clearing electrodes for DAFNE



From T. Demma

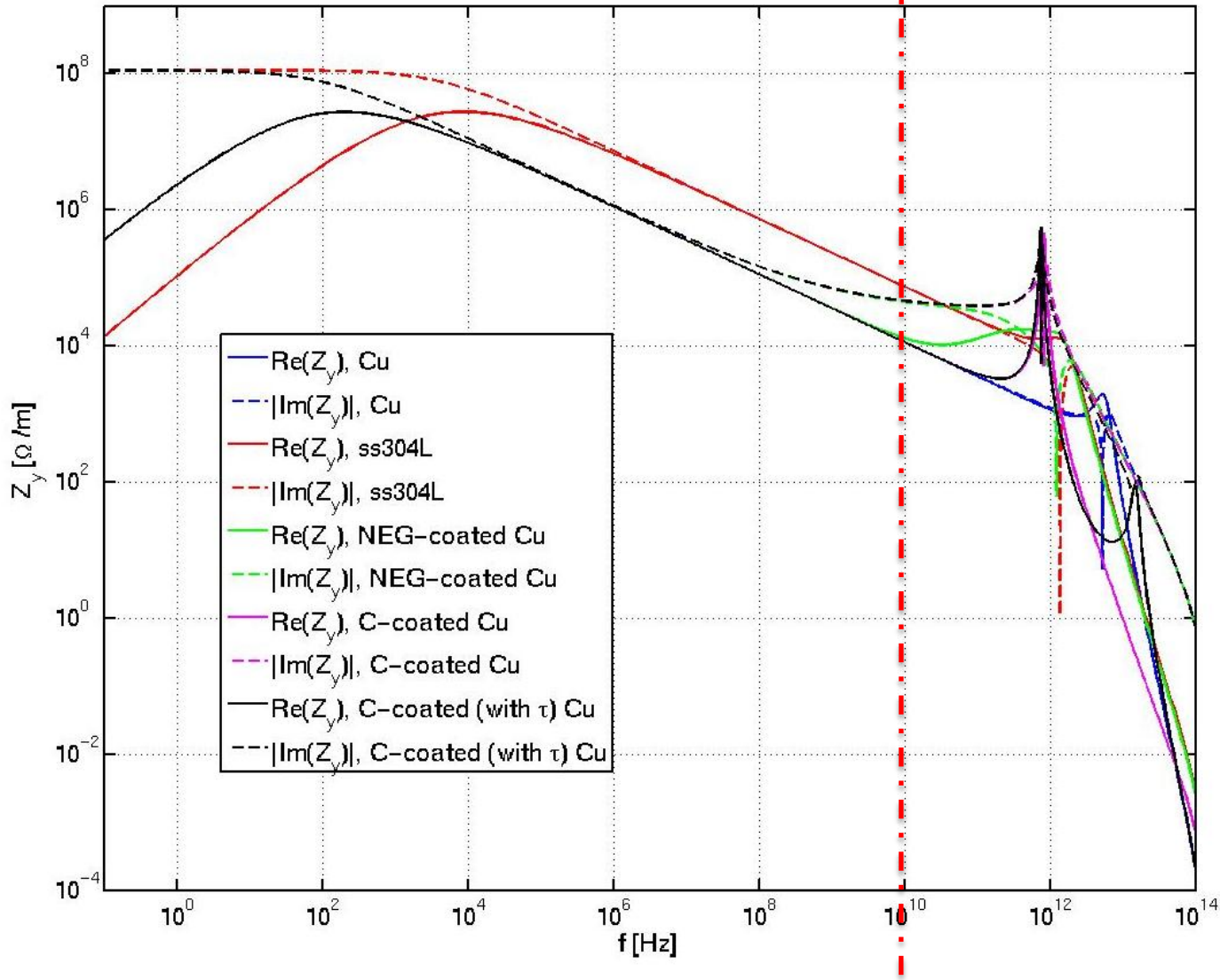


From S. Suetsugu



Resistive Wall Impedance: Various options for the pipe

- Vertical impedance in the wigglers (3 TeV option) for different materials



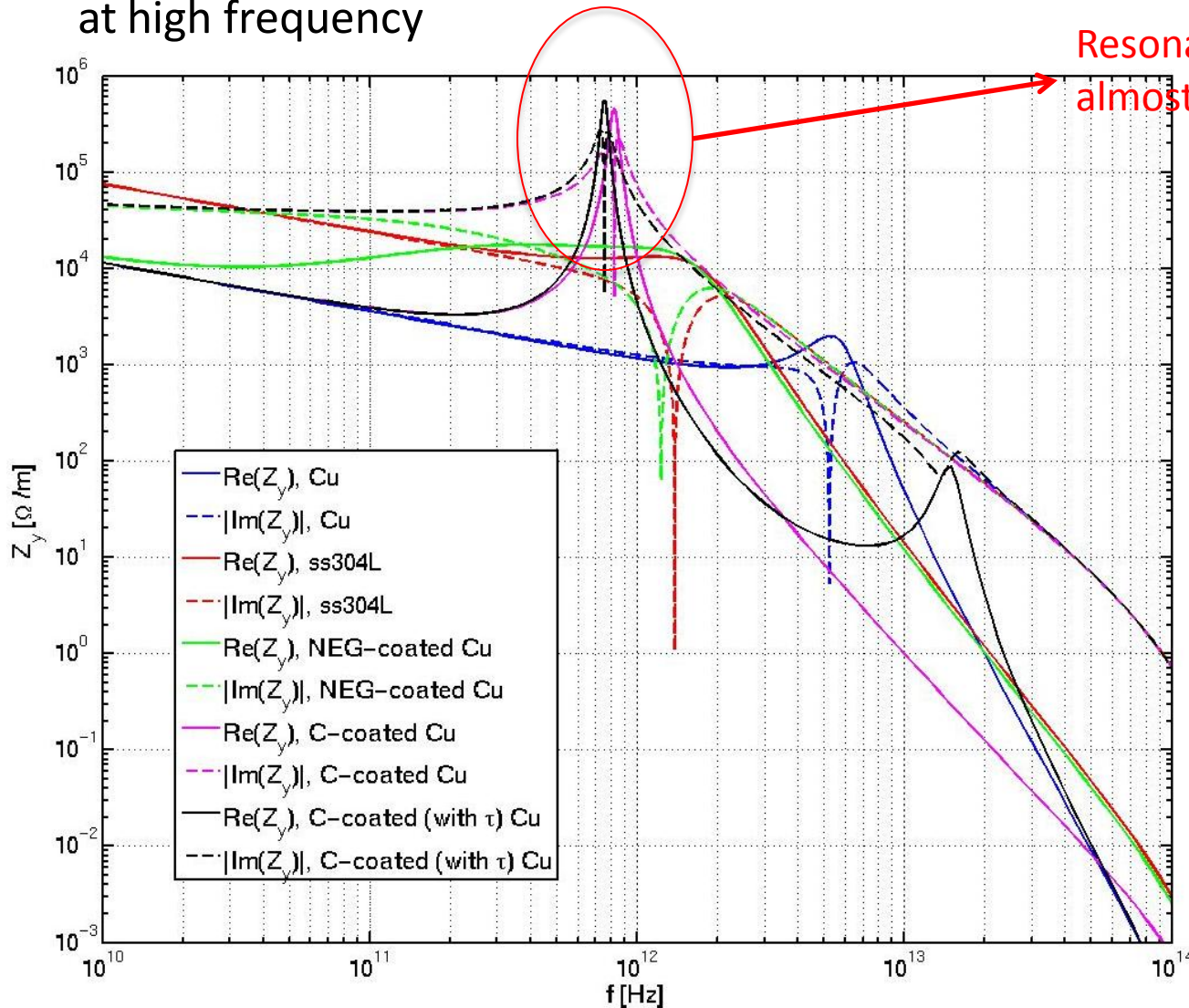
⇒ Coating is “transparent” up to ~ 10 GHz

⇒ But at higher frequencies some narrow peaks appear!!

⇒ So we zoom for frequencies above 10 GHz →

Resistive Wall Impedance: Various options for the pipe

- Vertical impedance in the wigglers (3 TeV option) for different materials: zoom at high frequency



Resonance peak of $\approx 1\text{M}\Omega/\text{m}$ at almost 1THz for C-coated Cu

- Layers of coating materials can significantly increase the resistive wall impedance at high frequency
 - Coating especially needed in the low gap wigglers
 - Low conductivity, thin layer coatings (NEG, a-C)
 - Rough surfaces (not taken into account so far)

\Rightarrow Above 10 GHz the impact of coating is quite significant.

Thick wall in wigglers

Stainless steel

$1.3 \times 10^6 \Omega^{-1} \text{m}^{-1}$

Copper

$5.9 \times 10^7 \Omega^{-1} \text{m}^{-1}$

a-C

NEG

6.5 mm
half gap

- Amorphous carbon (aC) on stainless steel (ss) (0.0005 mm/ 0.001 mm)
- Non-evaporated getter (NEG) on stainless steel (0.001 mm/ 0.002 mm)
- Amorphous carbon on copper (0.0005 mm/ 0.001 mm)
- NEG on copper (0.001 mm/ 0.002 mm)

NEG (Non Evaporated Getter)

- Important for good vacuum
- EDR
- Same conductivity as ss

Amorphous carbon (a-C)

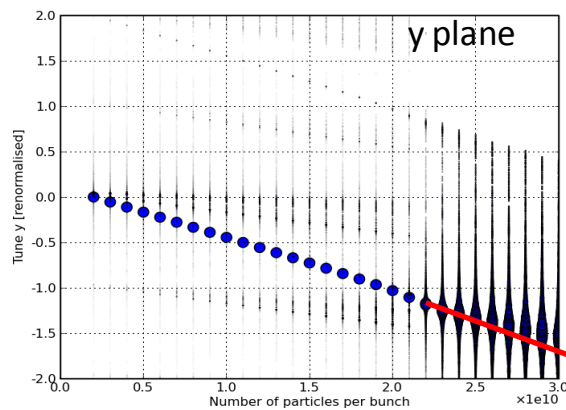
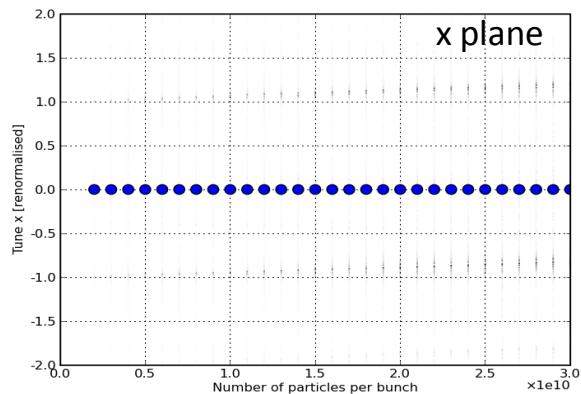
- Important for the electron cloud
- PDR

➤ Scan over intensity, from **$1.0 \cdot 10^9$ to $29.0 \cdot 10^9$**

➤ Average beta for the wigglers: $\langle \beta_x \rangle = 4.200 \text{ m}$, $\langle \beta_y \rangle = 9.839 \text{ m}$

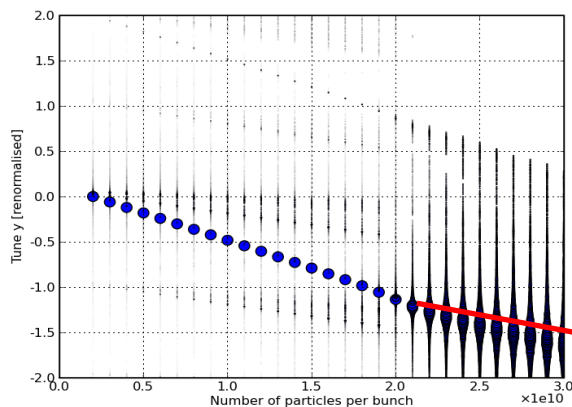
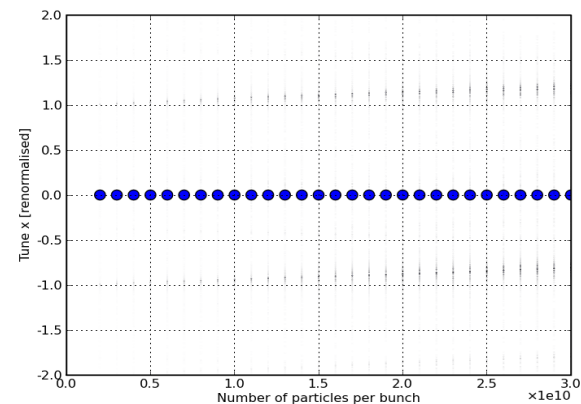
➤ Neglect the effect of the broadband impedance (single kick due to resistive wall from the wigglers)

Example: Stainless steel (coated with NEG or a-C)



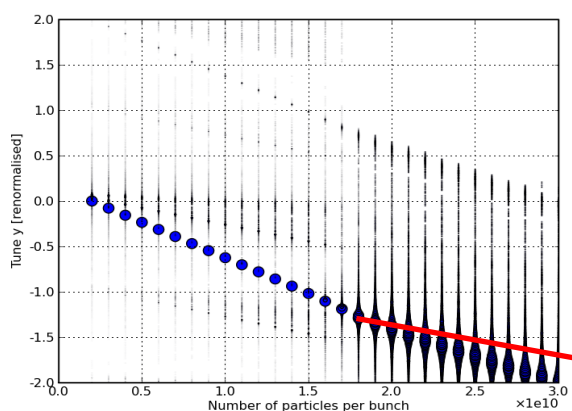
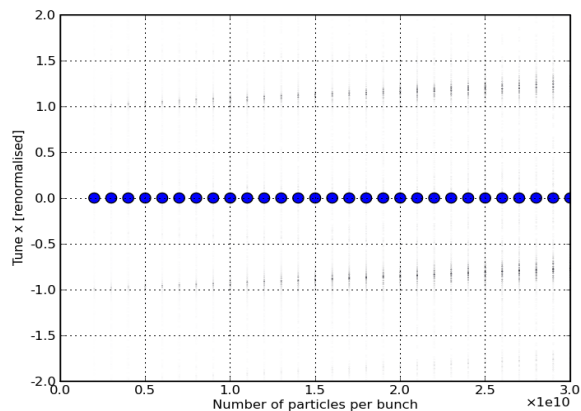
- Horizontal: Stable, mode -1 is moving up
- Vertical: Coupling of mode 0 and mode -1 at 21×10^9 (~5 times the nominal intensity)

TMCI at 21×10^9



Coating with 0.001 mm NEG

TMCI at 20×10^9



Coating with 0.001 mm a-C
(less conductive than NEG)

TMCI at 17×10^9

Materials	TMCI thresholds
Stainless steel (ss)	21×10^9
aC on ss (0.0005 mm)	19×10^9
<u>aC on ss (0.001 mm)</u>	<u>17×10^9</u>
NEG on ss (0.001 mm)	20×10^9
NEG on ss (0.002 mm)	19×10^9
Copper	$> 29 \times 10^9$
aC on copper (0.0005 mm)	$> 29 \times 10^9$
aC on copper (0.001 mm)	$> 29 \times 10^9$
NEG on copper (0.001 mm)	$> 29 \times 10^9$
NEG on copper (0.002 mm)	26×10^9

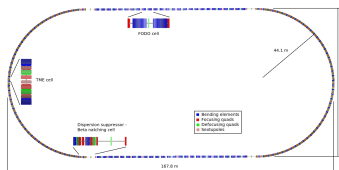
- Copper is better than ss but also more expensive!
- Adding a layer of coating → reduces the thresholds (the thicker, the more they are reduced)
- Coating doesn't have a big impact for the wigglers (still in the range of tolerance: 4.1×10^9 the nominal intensity)
- Further study...



Next steps



- Give 3 or more kicks (more realistic)
 - Coated wigglers
 - Coated rest of the machine
 - Broadband resonator
- Effect of
 - different thickness of the coating
 - different radius of the pipe
- High frequency effects of resistive wall → calculate $\epsilon(\omega)$, $\mu(\omega)$, $\sigma(\omega)$ for hf of the coating material → experimental methods
- Use the multi-bunch version of HEADTAIL (impact of the resistive wall on the multi-bunch)
- Space charge study
- Do some real tune shift measurements in one of the existing rings (SLS, CesrTA)



1 kick, $\langle \beta \rangle$
1st approximation



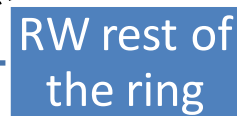
Impedance budget

4 MΩ/m, for nominal intensity $4.1 \cdot 10^9$

>3 kicks, $\langle \beta \rangle$



Unstable at $17 \cdot 10^9$ aC on ss



~1 MΩ/m (25% of the total impedance budget)

→ Add up all the different contributions

→ Reduce the impedance budget

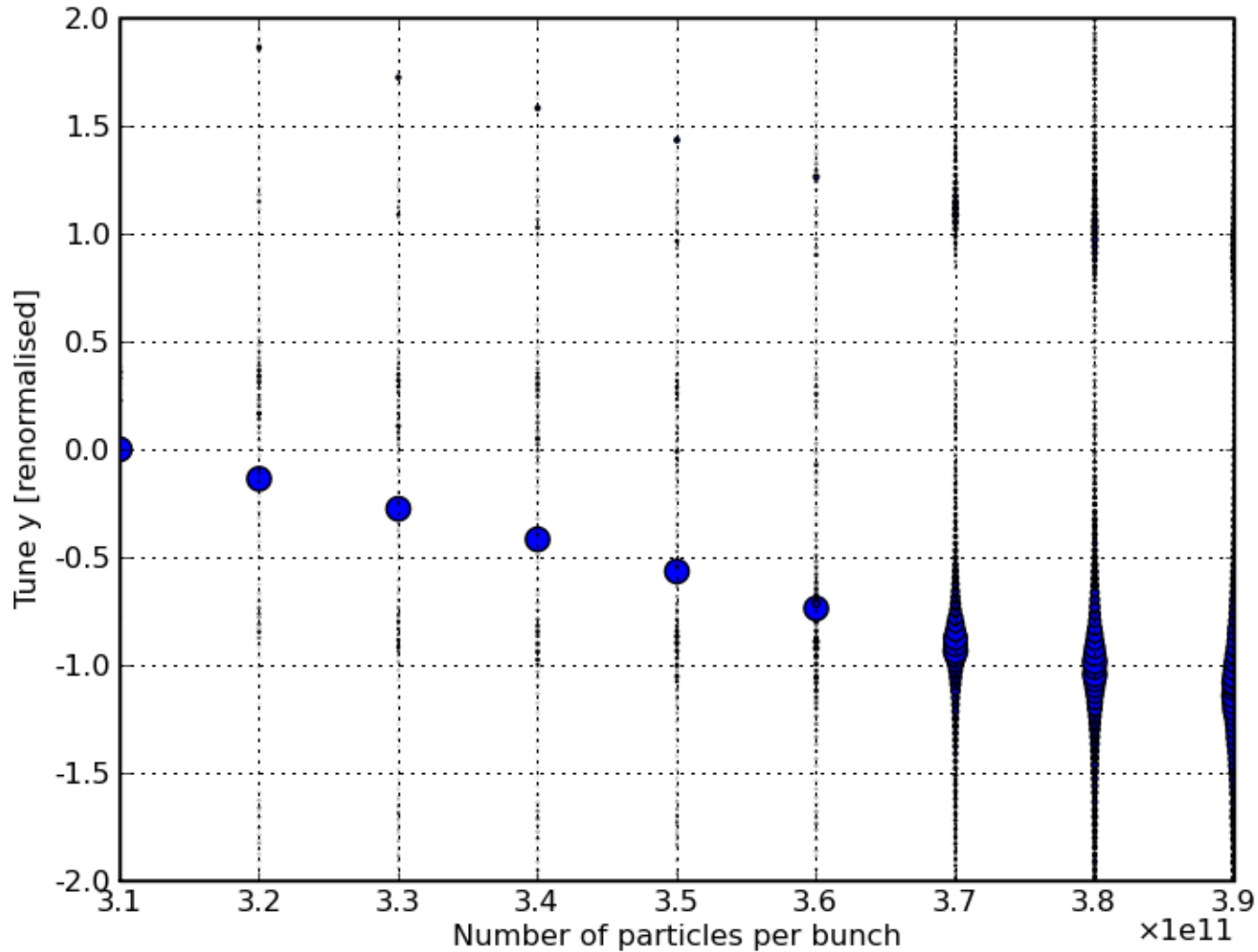
→ Impedance database with all the components



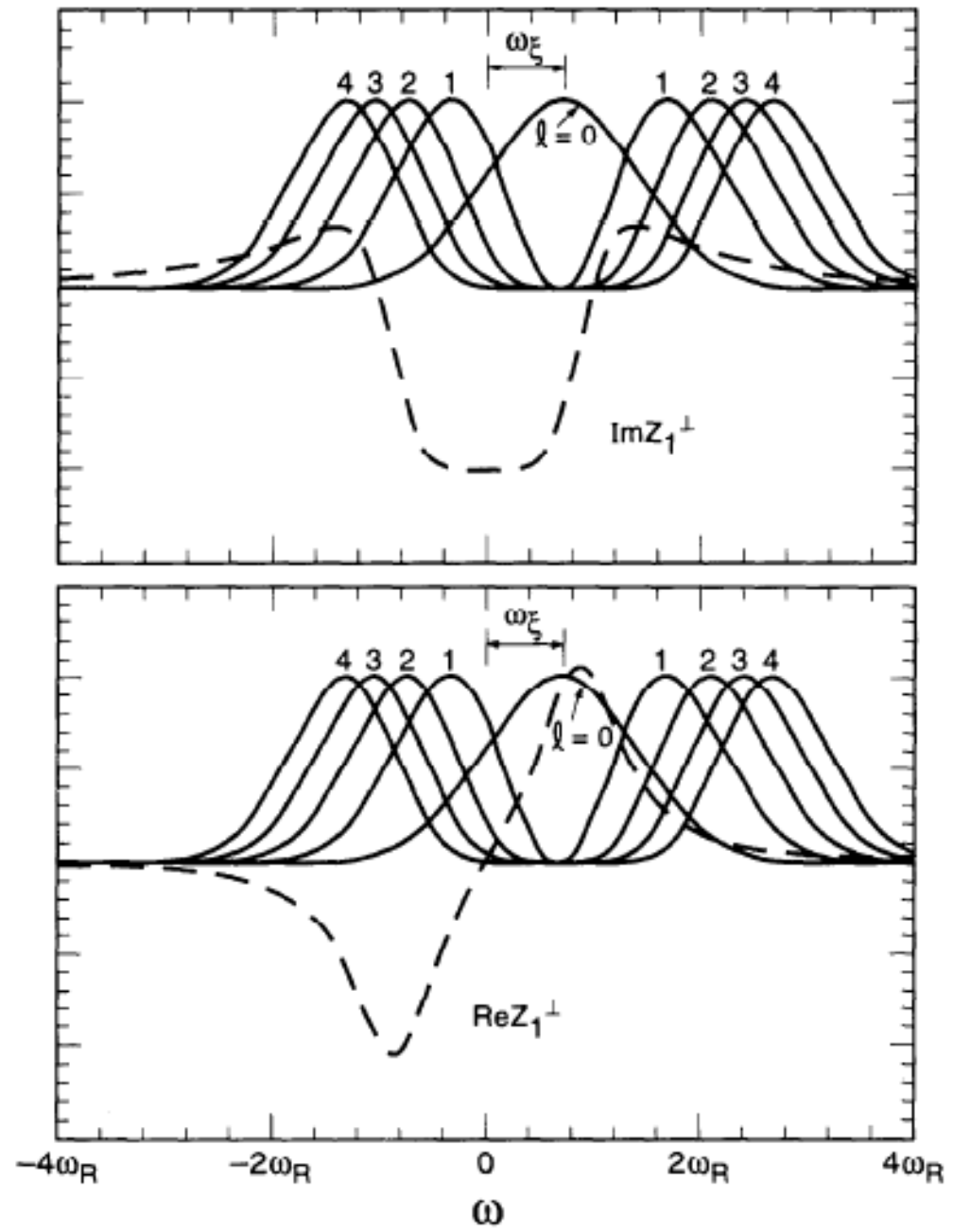
Appendix



- This case (copper) is stable only for this intensity range
- Extend the intensity $[30.0-110.0]10^9$



Azimuthal modes and impedance



Tune shift

For a Gaussian beam, we have $h_l(\omega)$ given by Eq. (6.143) and

$$\Omega^{(l)} - \omega_\beta - l\omega_s \approx -\frac{1}{4\pi} \frac{\Gamma(l + \frac{1}{2})}{2^l l!} \frac{Nr_0 c^2}{\gamma T_0 \omega_\beta \sigma} i(Z_1^\perp)_{\text{eff}}.$$

19.2.2 Resistive Wall Impedance

The particle beam induces an image current in the vacuum chamber wall in a thin layer with a depth equal to the skin depth. For less than perfect conductivity of the wall material, we observe resistive losses which exert a pull or decelerating field on the particles. This pull is proportional to the beam current and integrating the fields around a full circumference of the accelerator, we get for the associated longitudinal resistive wall impedance in a uniform tube of radius r_w at frequency ω_n

$$\left. \frac{Z_{\parallel}(\omega_n)}{n} \right|_{\text{res}} = \frac{1-i}{n} \frac{\bar{R}}{cr_w} \sqrt{\frac{\mu_r \omega_n}{2\epsilon_0 \sigma}} = \frac{1-i}{n} \frac{\bar{R}}{r_w \sigma \delta_{\text{skin}}}, \quad (19.40)$$

where the skin depth is defined by [145]

$$\delta_{\text{skin}}(\omega_n) = \sqrt{\frac{2}{\mu_0 \mu_r \omega_n \sigma}}. \quad (19.41)$$

The longitudinal resistive wall impedance decays with increasing frequency and therefore plays an important role only for low frequencies. The transverse resistive wall impedance for a round beam pipe is

$$Z_{\perp}(\omega_n)_{\text{res}} = \frac{2\bar{R}}{r_w^2} \left. \frac{Z_{\parallel}(\omega_n)}{n} \right|_{\text{res}}. \quad (19.42)$$

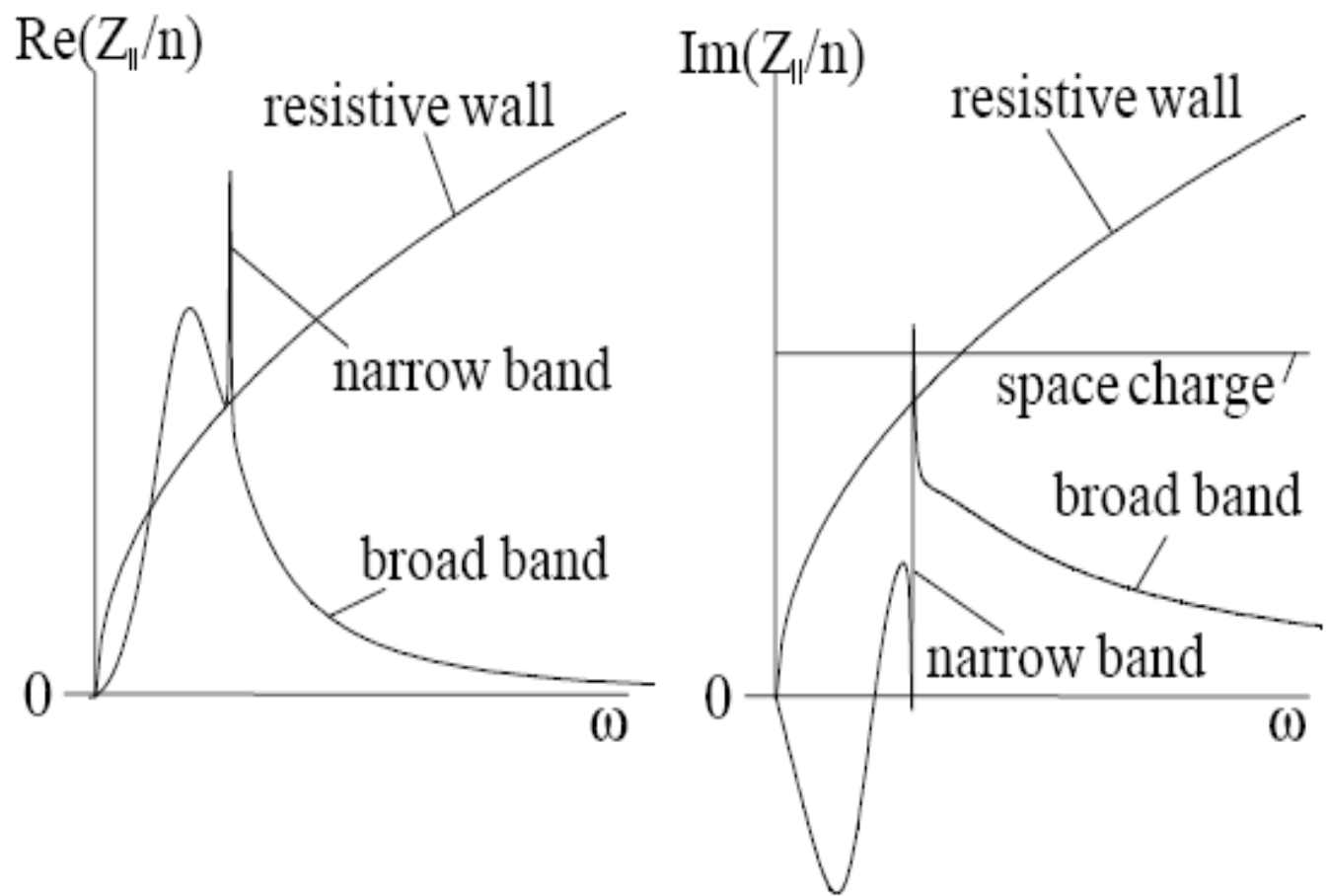


Fig. 19.7. Qualitative spectra of resistive and reactive coupling impedances in a circular accelerator

Fig. 19.7 we show qualitatively these resistive as well as reactive impedance components as a function of frequency.

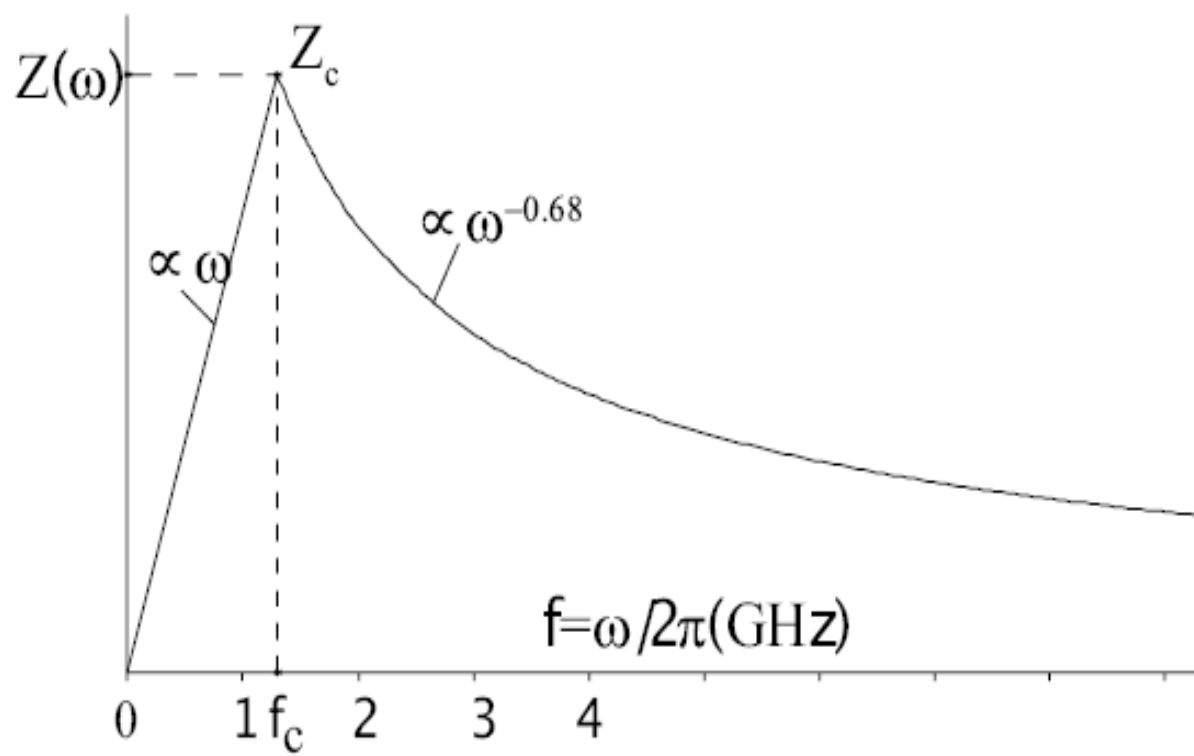


Fig. 19.8. Impedance spectrum of the storage ring SPEAR

Resistive wall model

$$\begin{aligned}\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial E_s}{\partial r} \right) + \lambda^2 \tilde{E}_s &= 0, \\ \tilde{E}_r &= \frac{ik}{\lambda^2} \frac{\partial \tilde{E}_s}{\partial r}, \\ \tilde{B}_\theta &= \left(1 + \frac{\lambda^2}{k^2} \right) \tilde{E}_r,\end{aligned}\tag{2.5}$$

where we have defined a parameter

$$\lambda = \sqrt{\frac{2\pi\sigma|k|}{c}} [i + \text{sgn}(k)]\tag{2.6}$$

with $\lambda^2 = 4\pi i\sigma k/c$. The sign of λ is chosen so that its imaginary part $\text{Im } \lambda > 0$. The parameter λ^{-1} has the dimensionality of length; it is related to the *skin depth* as a function of frequency $\omega = kc$ inside the metal wall:

$$\delta_{\text{skin}} = \frac{1}{\text{Im } \lambda} = \frac{c}{\sqrt{2\pi\sigma|\omega|}}.\tag{2.7}$$

Resistive wall model 2

In what follows, we will assume $|\lambda|$ is much larger than $1/b$, i.e., the skin depth is much shorter than the pipe radius b . This assumption is good if wave number $|k|$ is much greater than $c/4\pi\sigma b^2$, or equivalently, if we are interested in the region

$$|z| \ll \frac{b}{\chi}, \quad (2.9)$$

where χ is a small dimensionless parameter defined by

$$\chi \equiv \frac{c}{4\pi\sigma b}. \quad (2.10)$$

For example, if $b = 5$ cm and the wall is made of aluminum, we have $\chi = 1.5 \times 10^{-9}$ and our approximation breaks down at a distance $\gtrsim 3 \times 10^7$ m behind the beam.

In case the vacuum chamber wall has a finite thickness t , our approximation also requires $|\lambda| \gg 1/t$. If $t = 3$ mm, the approximation breaks down at distance $\gtrsim 1 \times 10^5$ m. The corresponding low-frequency field components leak through the pipe wall, leading to the Laslett analysis of tune shifts (1.30–1.31).