

ITS upgrade meeting

“Vertexig and tracking”

Entirely based on works and results by:
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Outline:

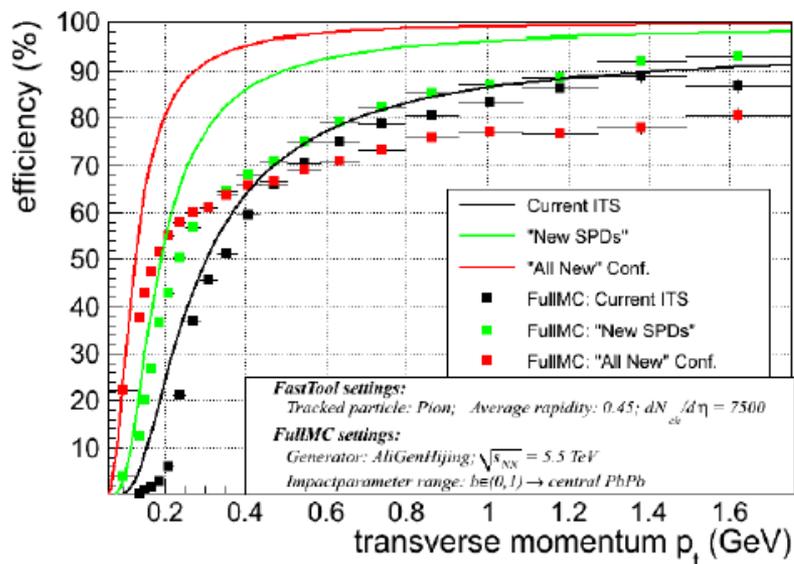
- Comparison Fast simulation vs. MC Transport code
- Fast “quasi MC” tool: FMCT
- New upgraded configuration



Comparison Fast simulation vs. MC Transport code

Tracking efficiency studies

12th of September, 2011



The scenarios:

- New SPDs (exchange only Pixels)
- All New (build a completely new detector)

The tools:

- Fast (semi-analytical) Tool
- ITSupgrade code in AliRoot

The problem:

- The tools do not agree ...

a lot of works since then:

- moving to realistic multiplicities (dN_{ch}/dy from ~ 5500 to ~ 2000 charged)
- a few "bugs"
- common definition of efficiency and fake ratio

Discussion points for the efficiency estimates

❑ Multiplicity, event topology

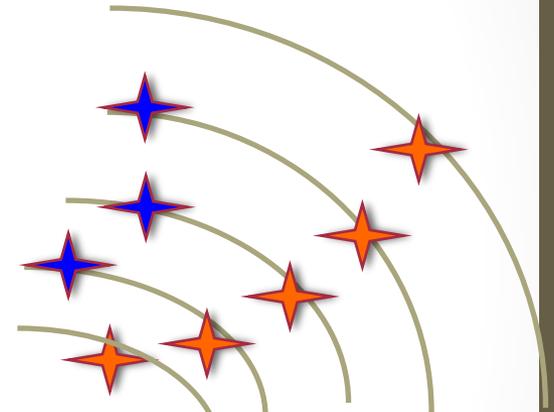
- PbPb (central Hijing) with $b [0,3.5]$ fm and $dN/d\eta$ at midrapidity 2000

❑ Track/particle selection

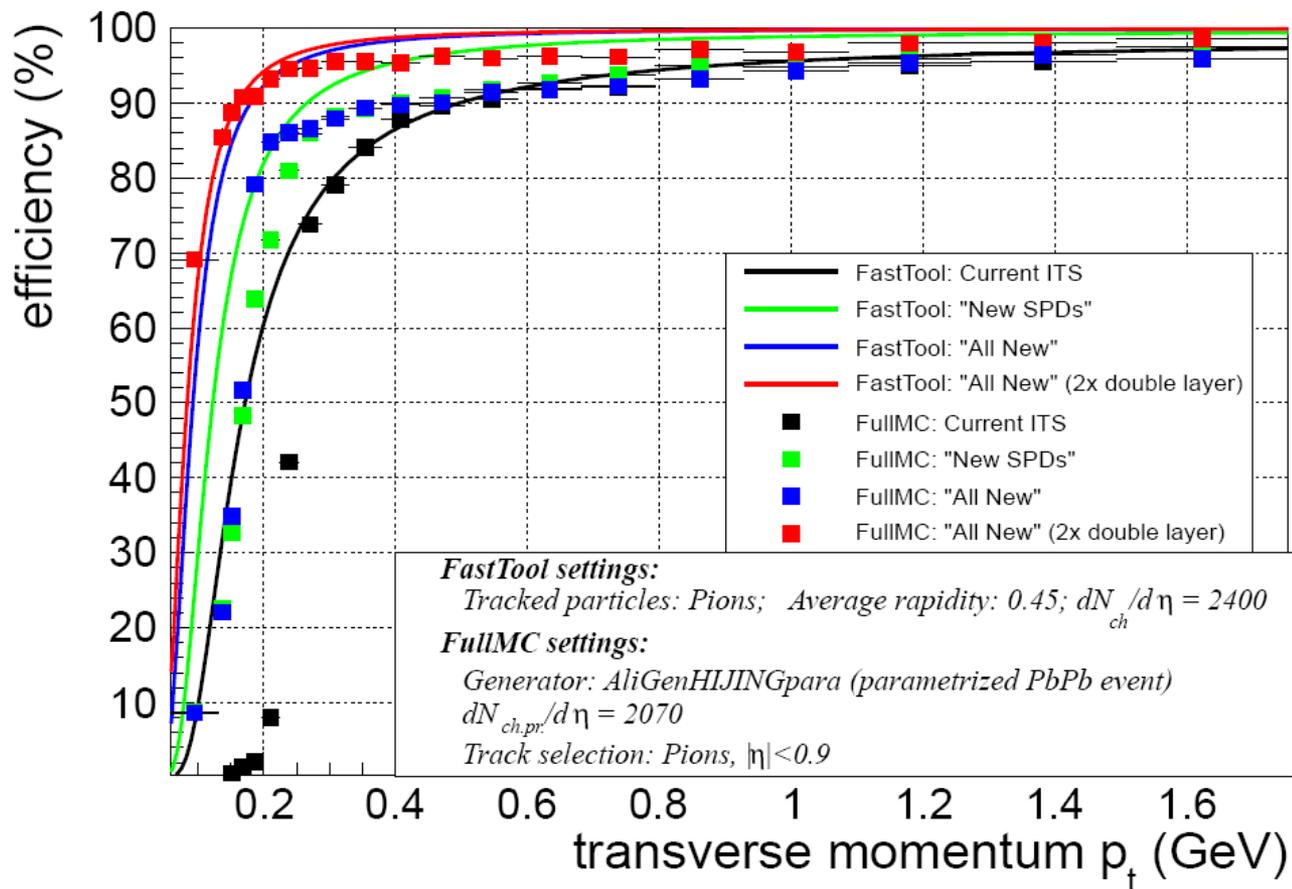
- MC trackable (3 TrackRefs) too loose
- Tracks built in Inward direction
- Tracks built with the vertex constraint

- Further constraints should be considered in order to have an actual MC trackable
 - eta selection
 - Primary selection

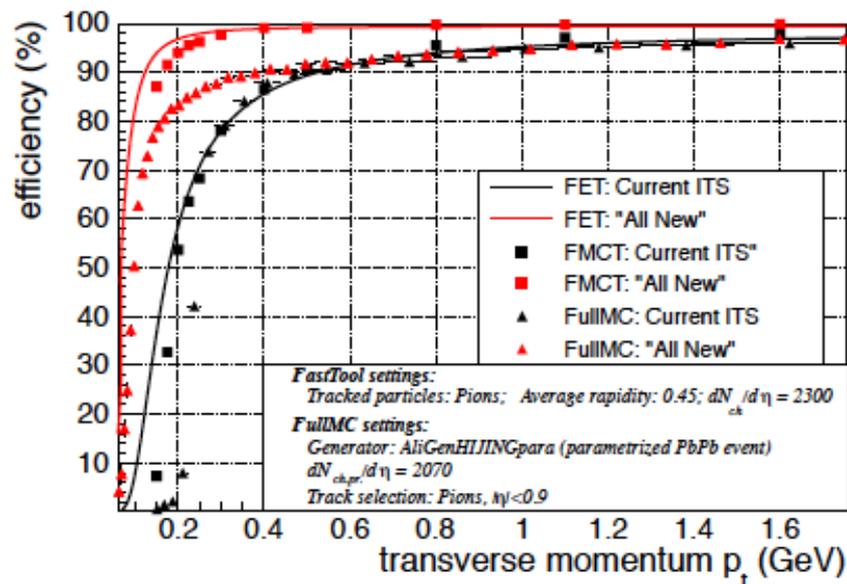
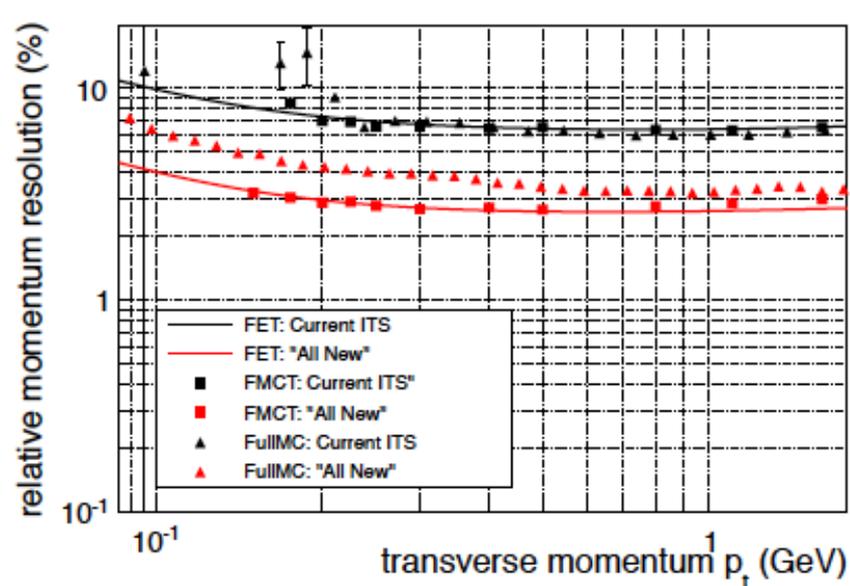
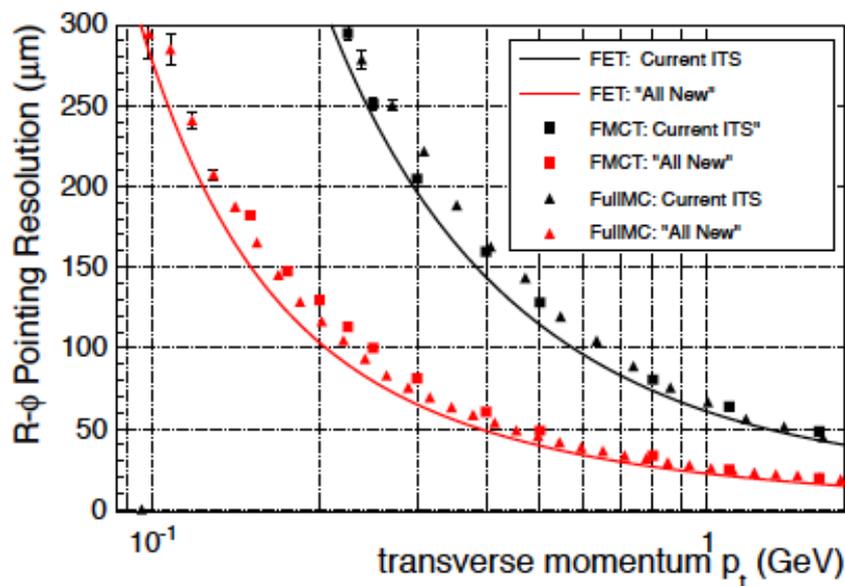
❑ Revisited layout for an improved “seeding” for the inward tracking (close radii in outermost layers)



Latest results (Stefan)



"AllNew setting" : two couple of close layers at two outermost radii



From yesterday version of CDR Cap.3

Figure 3.14: Comparison of the “Fast tools” versus the “Slow simulation” for two configurations, namely the current ITS layout and the upgrade scenario “All-New” (see text for details); $r\phi$ resolution, p_t resolution, tracking efficiency.

Conclusion on Fast tool vs. MC

- after some works a better qualitative agreement between the estimate of tracking efficiency
 - quantitative agreement on pointing resolution since long

- Estimate of the tracking efficiency from the Fast tool corroborated by the new development of Ruben (FMCT, next item)

- the remaining differences are attributed to the fact that the tracking algorithm of the MC is not yet optimized



Fast “quasi MC” tool: FMCT

Addition of quasi-MC to analytical tool:

9

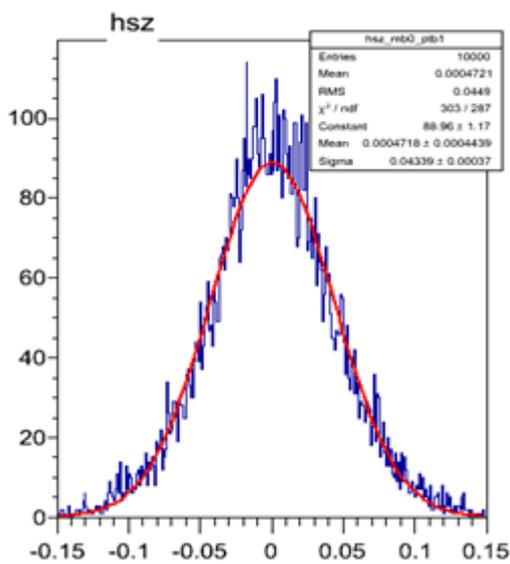
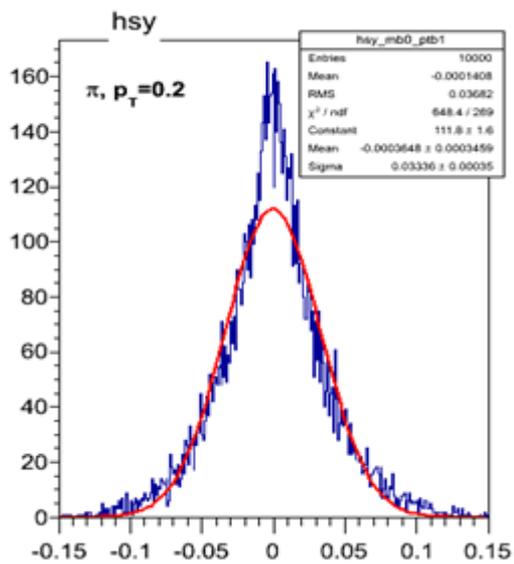
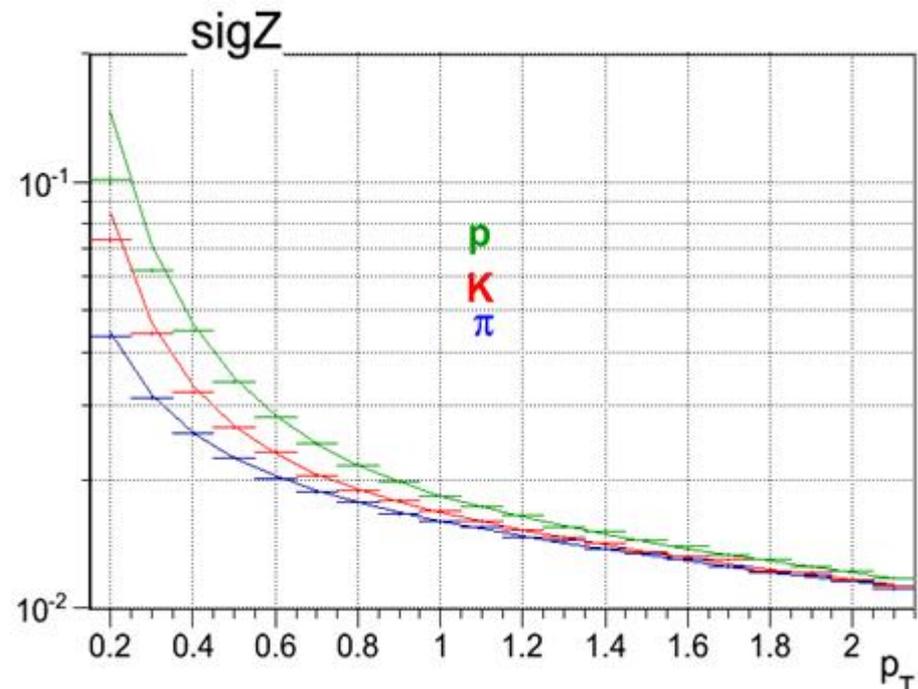
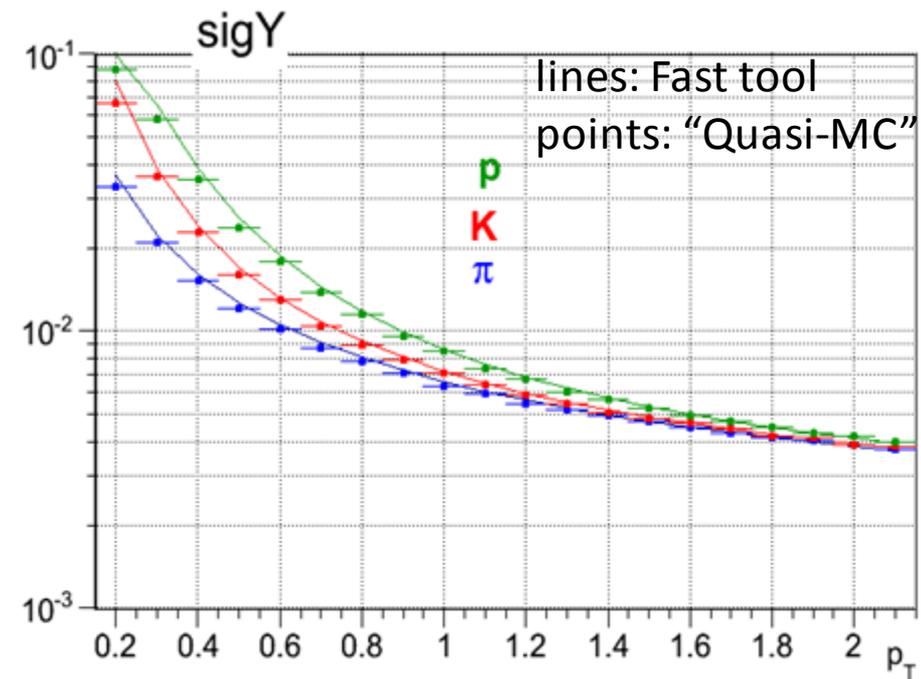
SolveSingleTrackViaKalman(mass,pt,theta) :

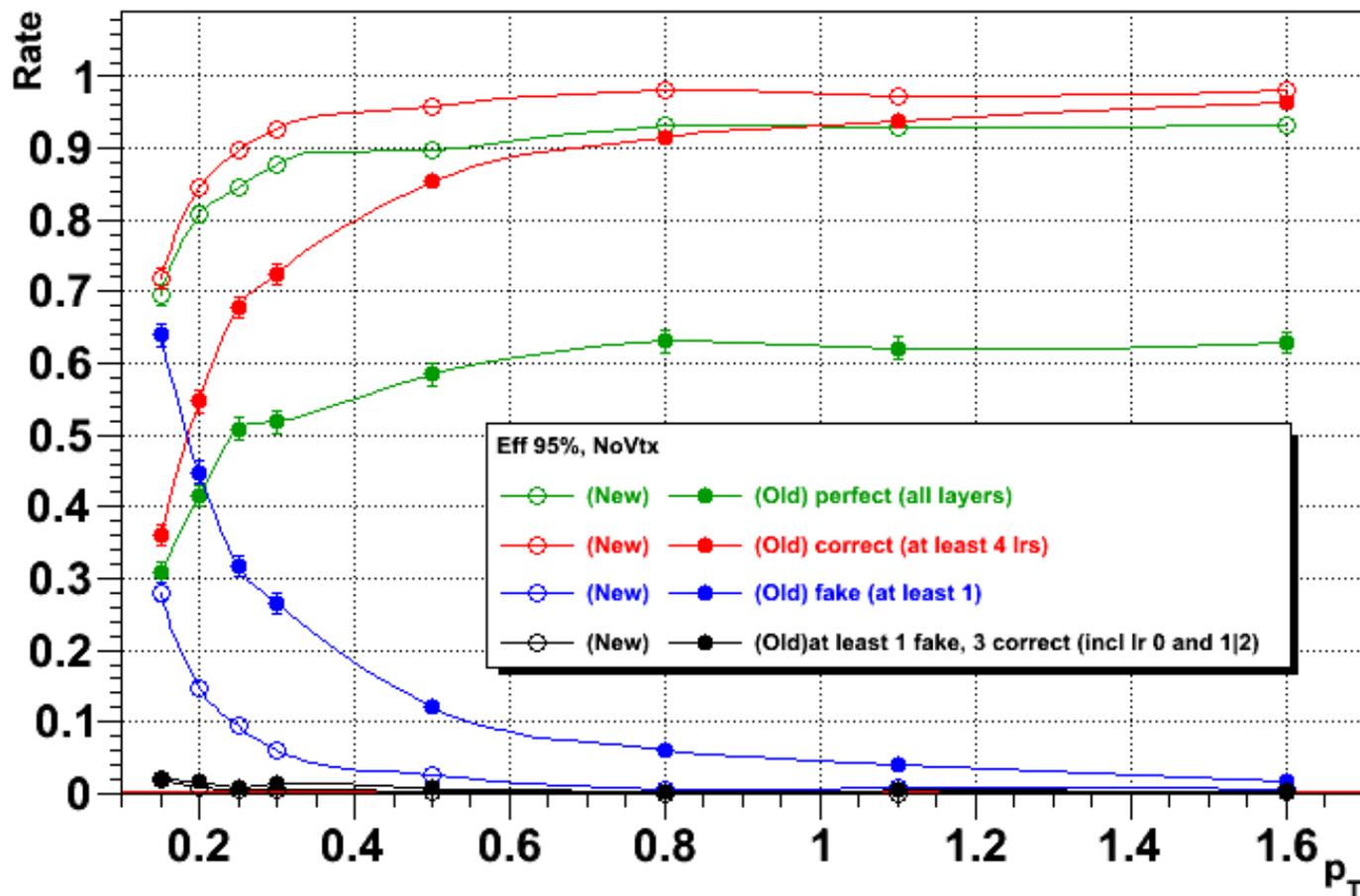
- ✓ prepares “ideal track” (no MS) in the whole detector.
- ✓ reconstructs using ideal clusters and produces analytical estimate of resolutions at each layer (**as before**)

SolveSingleTrackViaKalmanMC(int offset) :

- ✓ Does almost real MC (propagation with random MS+deteministic energy loss) of the original track used in analytical estimate, up to the the last ITS layer (+offset if requested for TPC/ITS tracking):
- ✓ Add random “fake” clusters according to occupancy at each layer and within a window accessible for any fake track which may “steel” the correct cluster
- ✓ Seeding with “ideal track” propagated to last layer, do the full reconstruction allowing competition between “correct MC” and “fake” clusters.
- ✓ Range all tracks propagated to vertex according to χ^2 /NDF (penalized for missed layers), suppress those tracks which don't use any “correct” cluster, and select the winner.
- ✓ The deviation of “real parameters” from “ideal” ones is fitted to produce resolutions estimates.

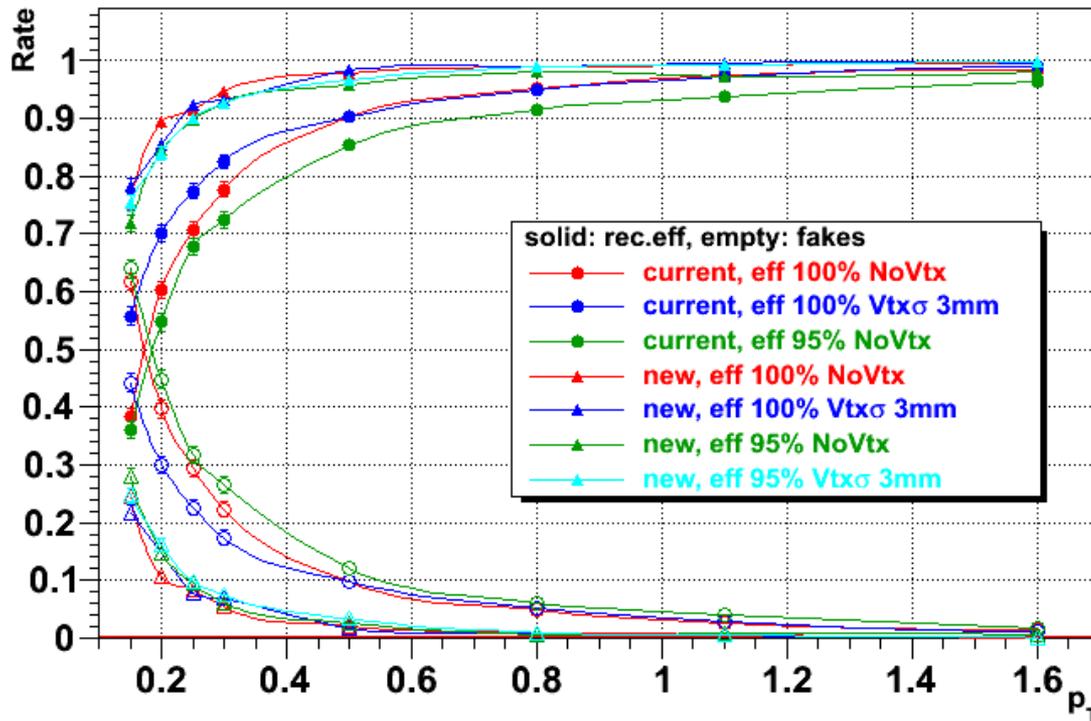
Log term in MS is ignored





"new" is for standard "AllNew" in Stefans' definition, 7 layers with $4\mu\text{m}$ resolution.

Different definitions/selections of correct tracks are possible:
 from "perfect" (correct hits on all layers)
 up to "correct hits on some key layers"



"NoVtx" vs "Vtxsigma 3mm":

Current full reco SA algorithm uses the vertex point for track finding.

Not used explicitly in the fit, but this helps to reject the fakes candidates (even those with good χ^2 w/o vertex constraint).

\Rightarrow possible loss of correct off-vertex tracks, increasing with p_T .

\Rightarrow the eff. obtained with full SA reco, is (in principle) valid only for prompt tracks...

Only to make FastMC results comparable with full MC reco, optionally I add track-to-vertex χ^2 to total track χ^2 . assigning some loose vertex error (3mm \gg σ DCA, just for test, no relation to effective constraint of full MC reco with SA algorithm).



New upgraded configuration

New upgraded configuration

- so far we have focused in the CDR on two configurations:
 - “new SPD”
 - “all new ITS”

Table 3.3: Characteristics of the Upgrade Scenario 1 - “New-SPDs”

Layer / Type	r [cm]	$\pm z$ [cm]	Nominal resolution $r\phi \times z$ [μm^2]	Material budget X/X_0 [%]
Beam pipe	2.0	-	-	0.22
1 / new pixel	2.2	10.5	4×4 (to) 6×6	0.30 (to) 0.50
2 / new pixel	4.7	13.5	4×4 (to) 6×6	0.30 (to) 0.50
3 / new pixel	9.0	18.5	4×4 (to) 6×6	0.30 (to) 0.50
Th. shield	11.5	-	-	0.65
4 / drift	15.0	22.2	35×25	1.13
5 / drift	23.9	29.7	35×25	1.26
Th. shield	31.0	-	-	0.65
6 / strip	38.0	43.1	20×830	0.83
7 / strip	43.0	48.9	20×830	0.83

Table 3.4: Characteristics of the Upgrade Scenario 2 - “All-New”

Layer / Type	r [cm]	$\pm z$ [cm]	Nominal resolution $r\phi \times z$ [μm^2]	Material budget X/X_0 [%]
Beam pipe	2.0	-	-	0.22
1 / new pixel	2.2	10.5	4×4 (to) 6×6	0.30 (to) 0.50
2 / new pixel	2.8	11.2	4×4 (to) 6×6	0.30 (to) 0.50
3 / new pixel	3.6	12.3	4×4 (to) 6×6	0.30 (to) 0.50
4 / new pixel / strip	20.0	30.7	4×4 (to) 50×50	0.30 (to) 0.50
5 / new pixel / strip	22.0	33.0	4×4 (to) 50×50	0.30 (to) 0.50
6 / new pixel / strip	41.0	54.5	4×4 (to) 50×50	0.30 (to) 0.50
7 / new pixel / strip	43.0	56.8	4×4 (to) 50×50	0.30 (to) 0.50

- choice driven by pointing resolution
- now the estimate of ITS stand-alone tracking efficiency under control → optimization also based on track. eff.

Comparisons to “our old” layouts

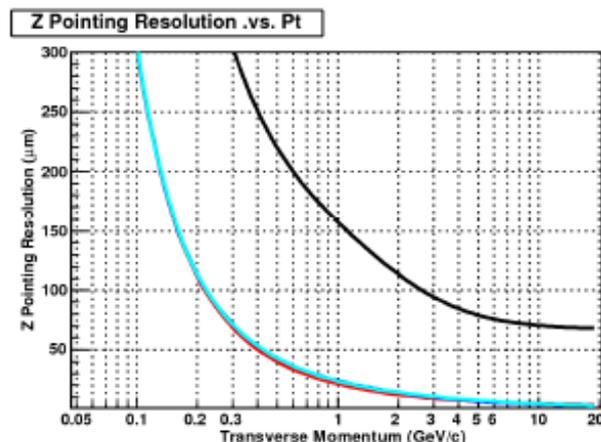
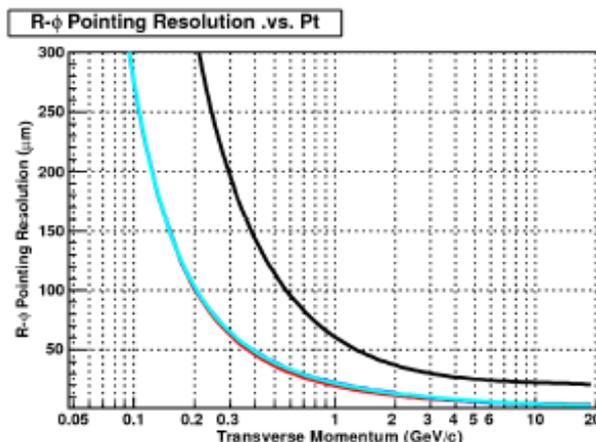
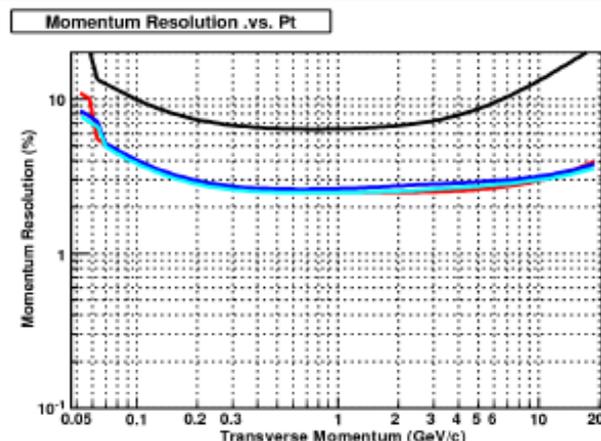
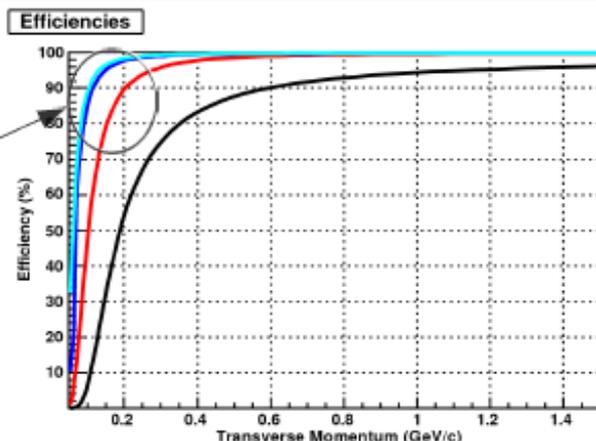
Black – Current ITS

RED – *AllNew ITS (7 layers, from CDR) → (2.2, 3.6, 6.8, 12.4, 23.5, 39.6, 43.0) cm

BLUE – *Newer AllNew (7 layers) → (2.2, 2.8, 3.6, 20.0, 22.0, 41.0, 43.0) cm

CYAN – *Newest Newer AllNew (9 layers) → (2.2, 2.8, 3.6, 4.2, 20.0, 22.0, 33.0, 43.0, 43.6) cm

ENHANCEMENT !



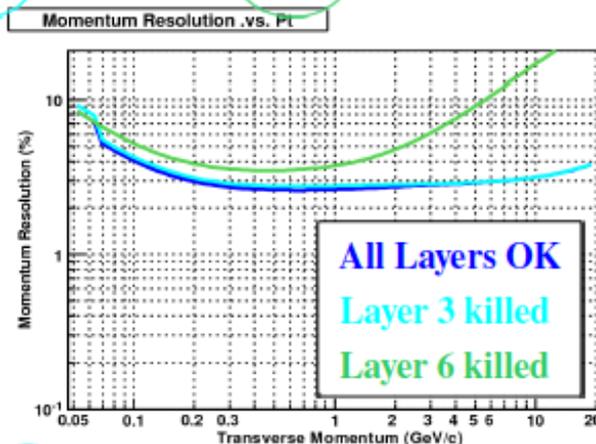
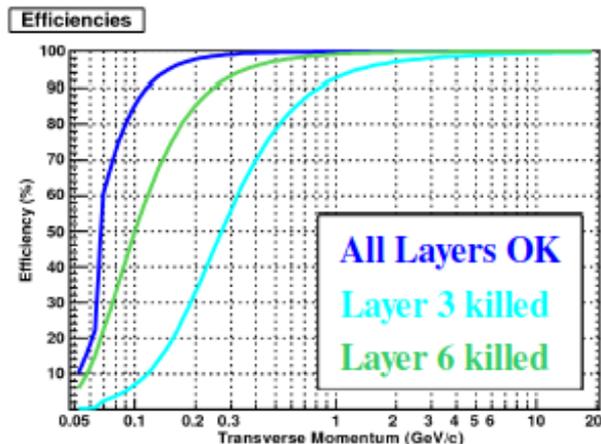
* we definitely have to find better names

Redundancy considerations?

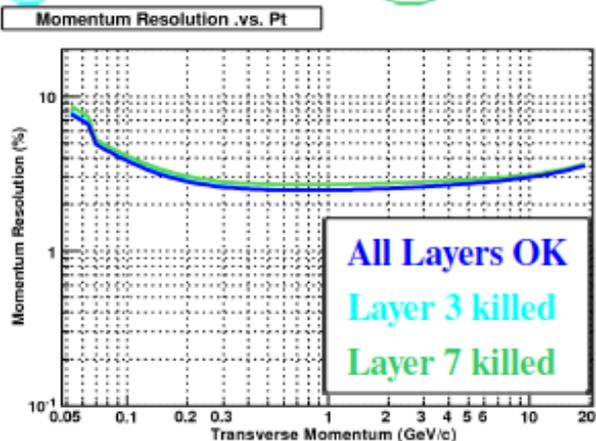
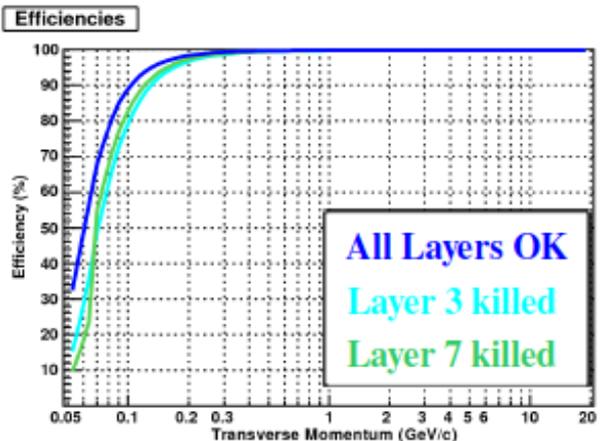
- The fight with focus on redundancy, the 9 new layers version would clearly win.
- Is it also feasible in terms of COSTS?

*Newer AllNew (7 layers)

→ (2.2, 2.8, 3.6, 20.0, 22.0, 41.0, 43.0) cm



*Newest Newer AllNew (9 layers) → (2.2, 2.8, 3.6, 4.2, 20.0, 22.0, 33.0, 43.0, 43.6) cm



MUCH BETTER

Conclusion

- We propose to add considerations and improved efficiency plots for either the “Newer-AllNew” or the “Newest-Newer-AllNew” layout ...
- No time to consider “major” changes also in the other chapters?
- Pt and d0 resolution are the same (therefore no change in the “physics motivation”), but the efficiency would increase !





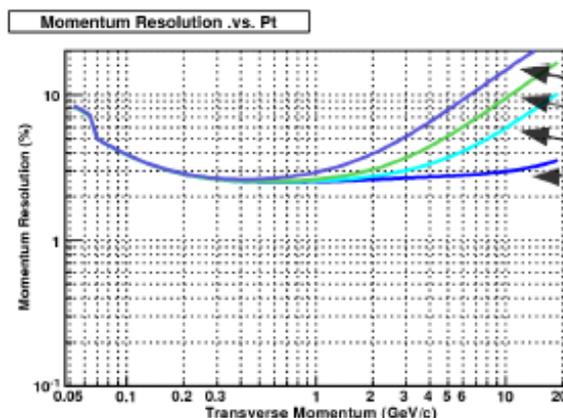
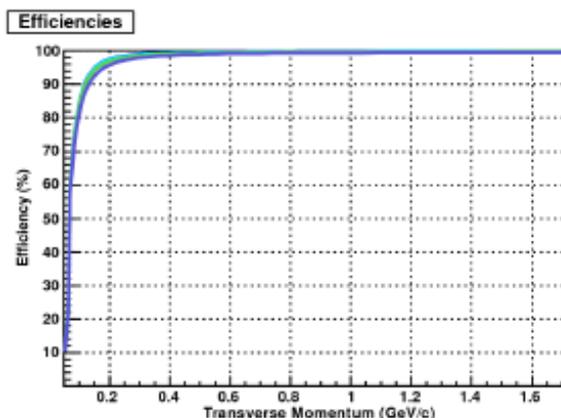
Extras

Eventually coarser resolution?

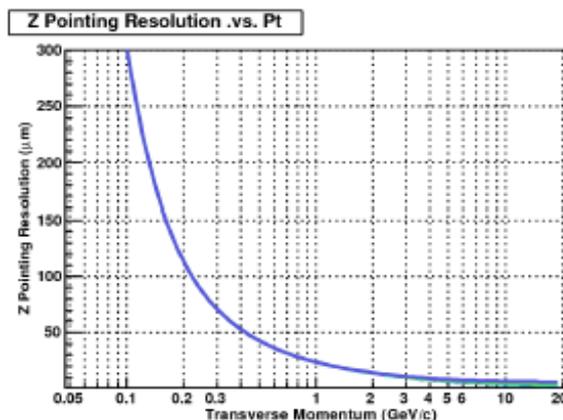
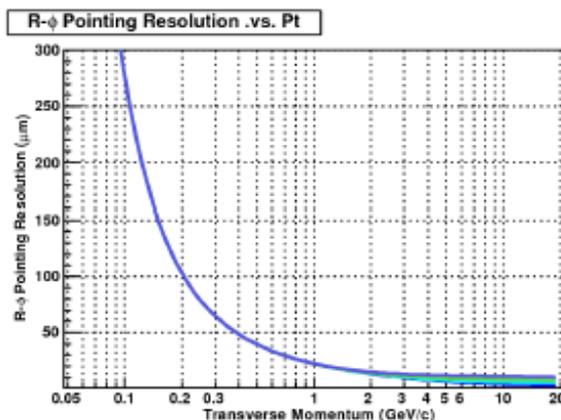
- Layers further out ($r > 20\text{cm}$) could have coarser resolution than 4 to 6 μm ?
- Tracking efficiency is not much affected for up to 40 microns
- But, the momentum resolution gets worse ..

BLUE – *Newer AllNew (7 layers)

→ (2.2, 2.8, 3.6, 20.0, 22.0, 41.0, 43.0) cm



Res = {4, 20, 40, 100} μm



Question related to trigger capabilities:

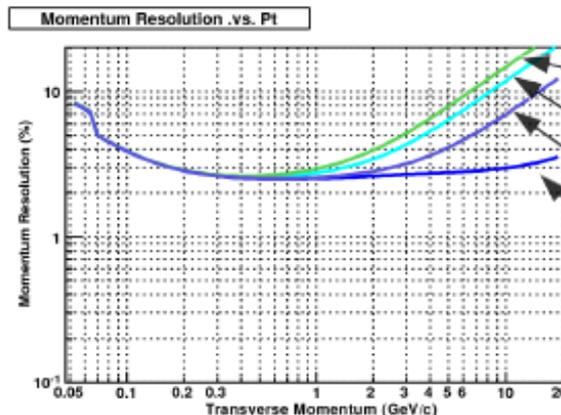
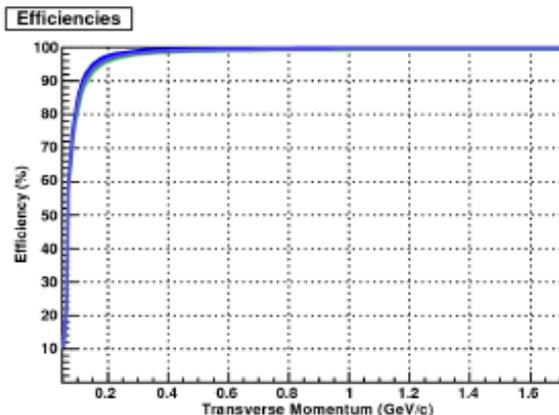
Up to which Extend do we need the standalone pt resolution?

Eventually courser resolution?

- Pt resolution is effected by changes on all the layers

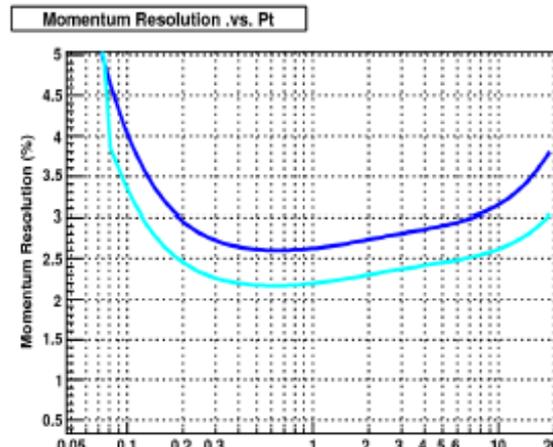
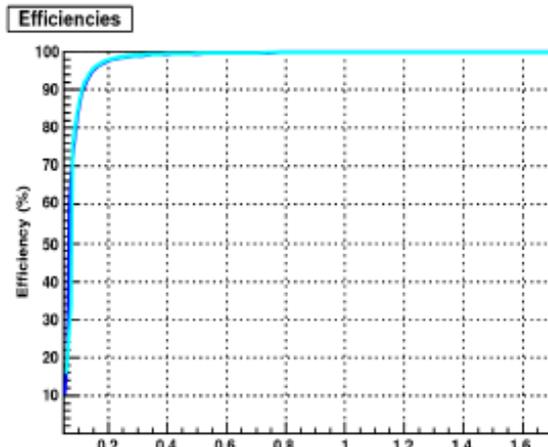
BLUE – *Newer AllNew (7 layers)

→ (2.2, 2.8, 3.6, 20.0, 22.0, 41.0, 43.0) cm



- Case 4: { 100, 100, 100, 20 } μm
- Case 3: { 100, 100, 20, 20 } μm
- Case 2: { 100, 20, 20, 20 } μm
- Case 1: { 4, 4, 4, 4 } μm

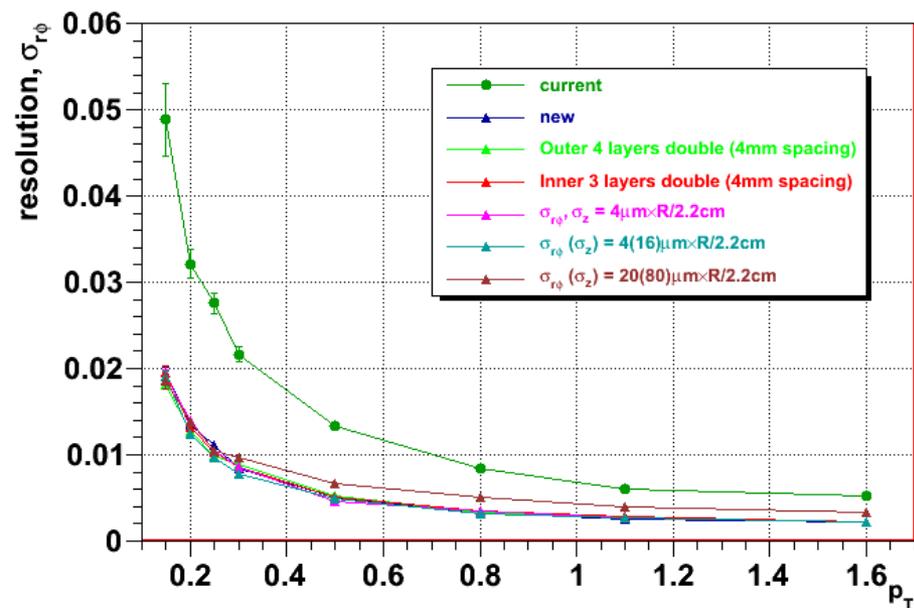
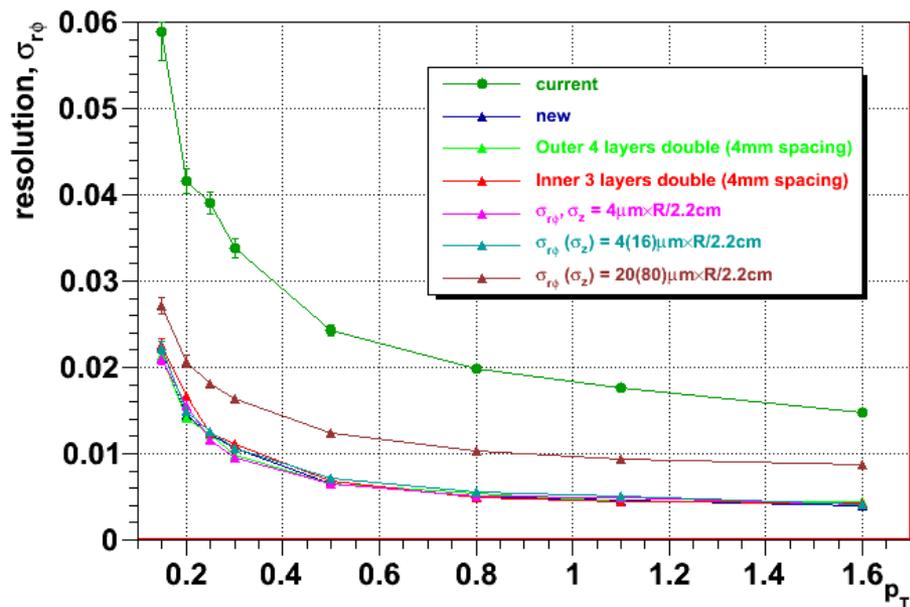
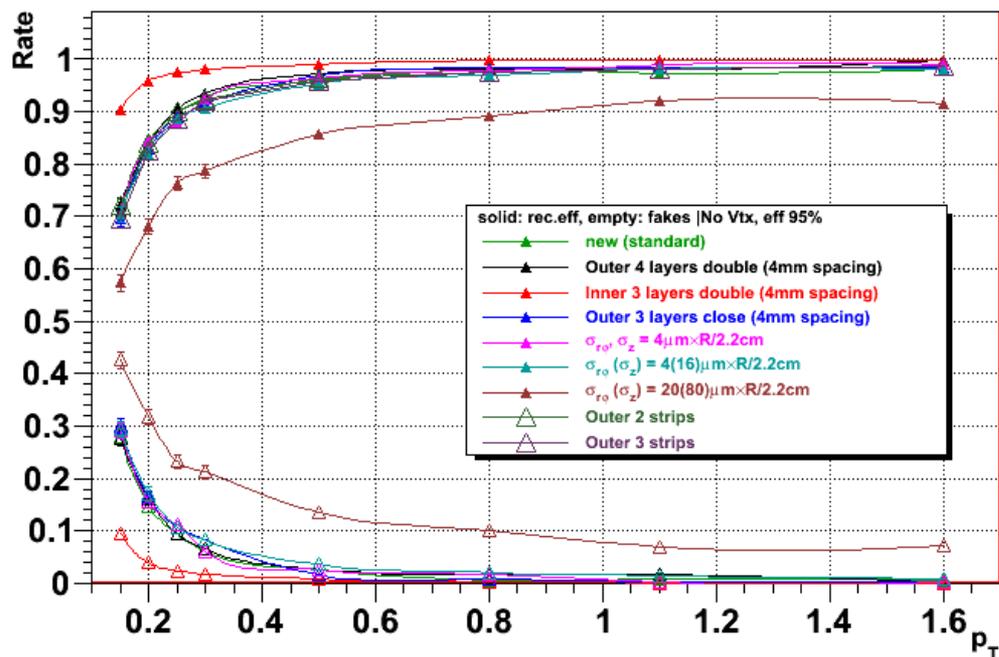
- Last layer(s) at ~ 50 cm would help a bit (but improv. is prop. to level arm)

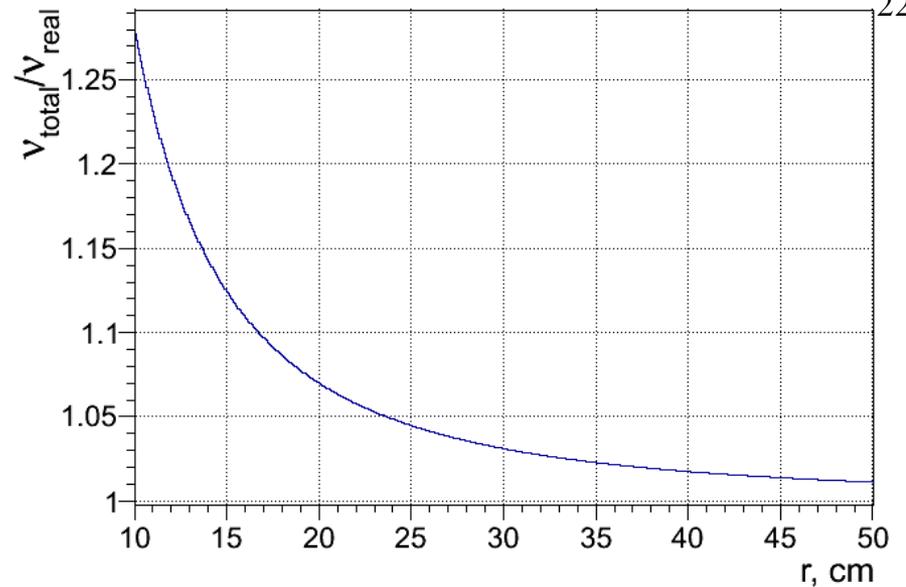
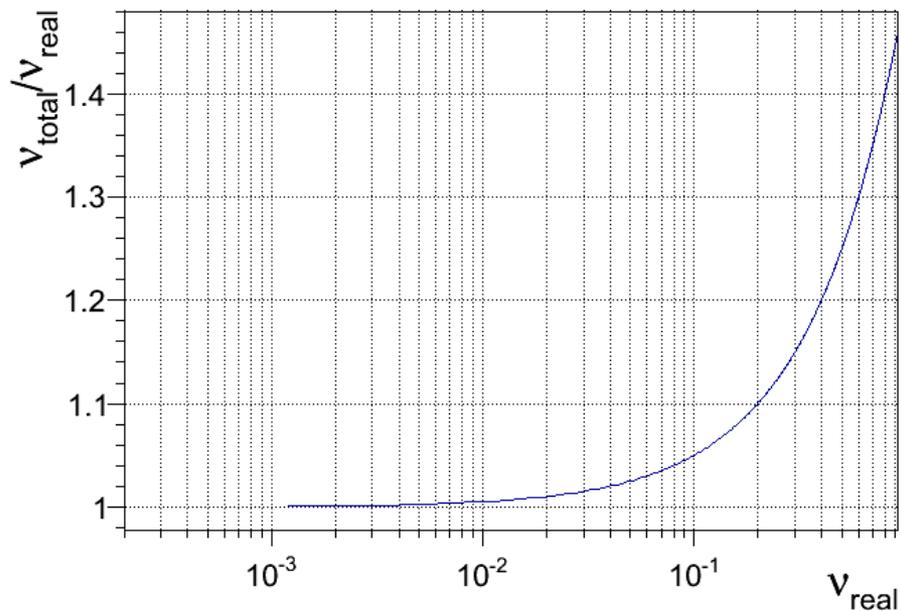


- Last four layers further out :
- R=(20, 22, 41, 43) cm
- R=(25, 27, 48, 50) cm

Test with different layouts

4 μm R/2.2: i-th layer resolutions are scaled as $\text{layer_i_r}/\text{layer_0}$.





Test with strips (L:2cm × d:80μm, 35 mrad angle φ)

Fake strip crossings: n real hits in rectangle $L^2 \tan(\phi)$ will create $n(n+1)/2$ crossings.
 v: <number> of of such crossings in rectangle.

