

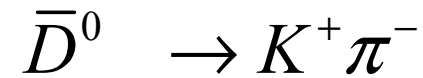
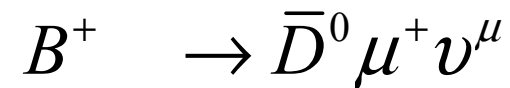
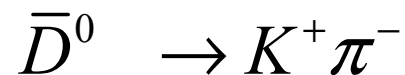
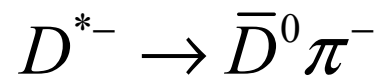
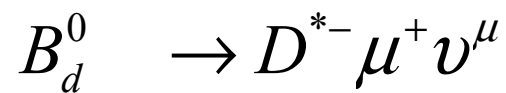
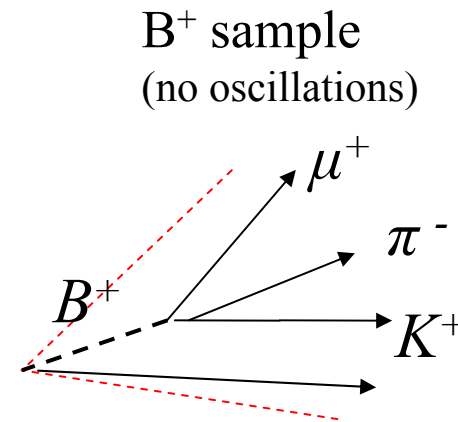
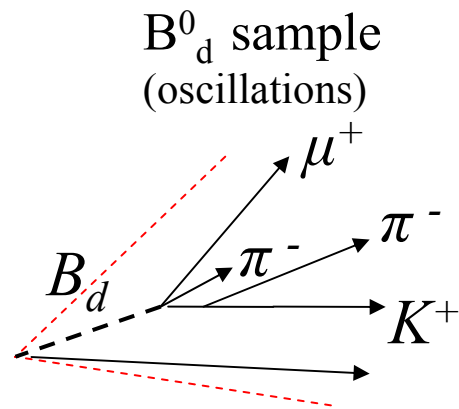
B_d mixing measurement using Opposite-side Flavour Tagging at DØ

- Data samples
- Making a B^0 mixing measurement
- Flavour Tagging method
- Extracting Δm_d and dilution
- Results of study



Data Samples ($\sim 1 \text{ fb}^{-1}$)

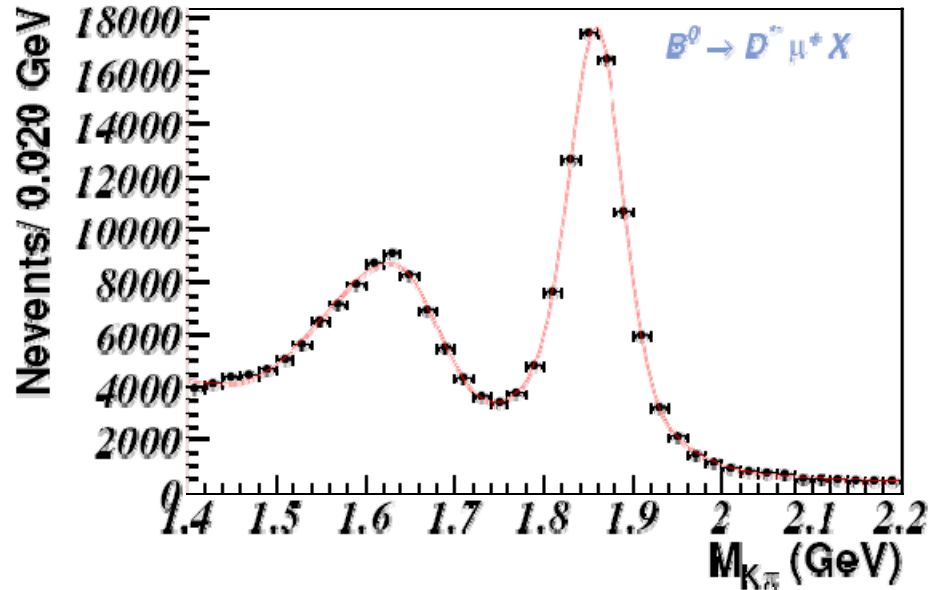
Look at semileptonic decays: $B \rightarrow \mu^+ \nu \bar{D}^0 X$





Data Samples ($\sim 1\text{fb}^{-1}$)

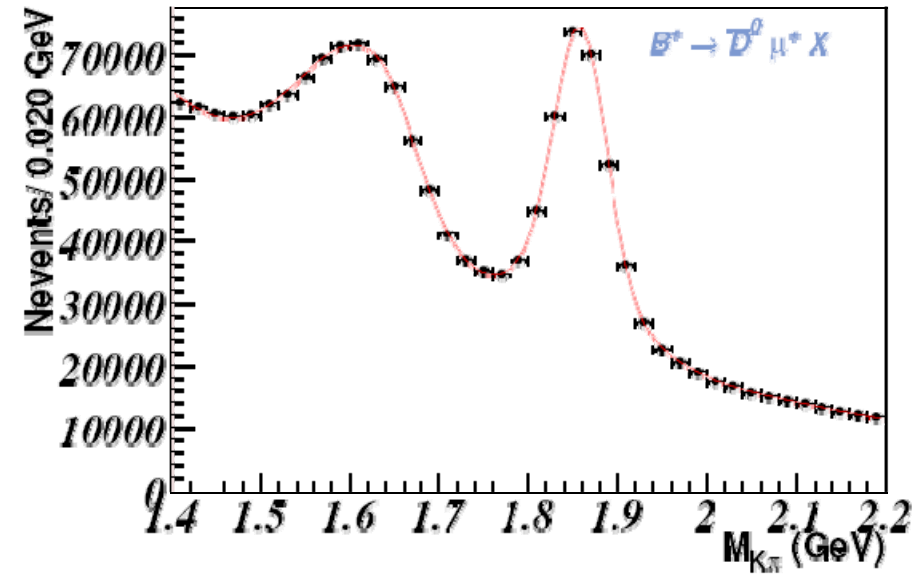
DØ RunII Preliminary



$B \rightarrow \mu^+ D^{*-} X$		
B+	B⁰	B ⁰ _s
10%	89%	1%

74,000 events

DØ RunII Preliminary



$B \rightarrow \mu^+ \bar{D}^0 X$		
B+	B ⁰	B ⁰ _s
83%	16%	1%

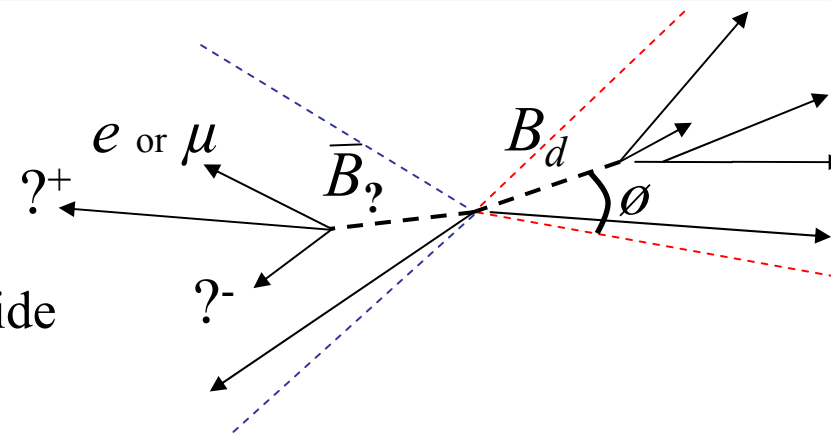
230,000 events



Construction of opposite side flavour tag

Opposite side Tags:

exclude: reconstructed tracks
 tracks with $\cos \theta > 0.8$
 → tags independent of reconstructed side



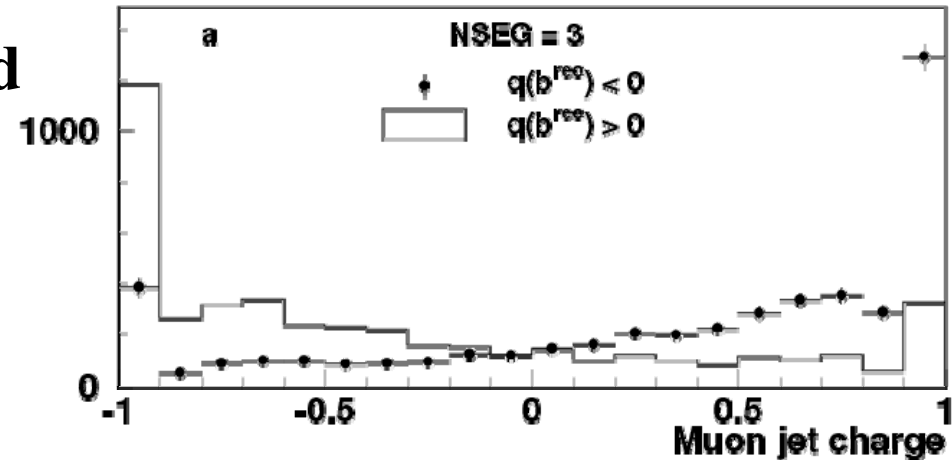
tag	quantity	Comments
Lepton jet charge (μ, e) $\bar{b} \rightarrow Xl^+, b \rightarrow Xl^-$	$Q_J^l = \frac{\sum_i q^i p_T^i}{\sum_i p_T^i}$	angular cut w.r.t. lepton: $\Delta R = \sqrt{(\Delta\phi)^2 + (\Delta\eta)^2} < 0.5$
Secondary vertex charge	$Q_{SV} = \frac{\sum_i (q^i p_L^i)^k}{\sum_i (p_L^i)^k}$	$k = 0.6$ gives optimal performance
Event charge	$Q_{EV} = \frac{\sum_i q^i p_T^i}{\sum_i p_T^i}$	momentum cut: $0.5 < p_T < 50 \text{ GeV}$



Construction of opposite side flavour tag

tag variables → **flavour likelihood**

using PDFs from study of non-oscillating events (98% non-osc)



Combine likelihoods:

If	Use	Efficiency (estimated dil > 0.3)
μ found	μ jet charge \times S.V. charge (if S.V. found)	6.6 %
e found	e jet charge \times S.V. charge (if S.V. found)	1.8 %
S.V. found	S.V. charge \times event charge	2.8 %

→ final flavour tag, with estimated dilution



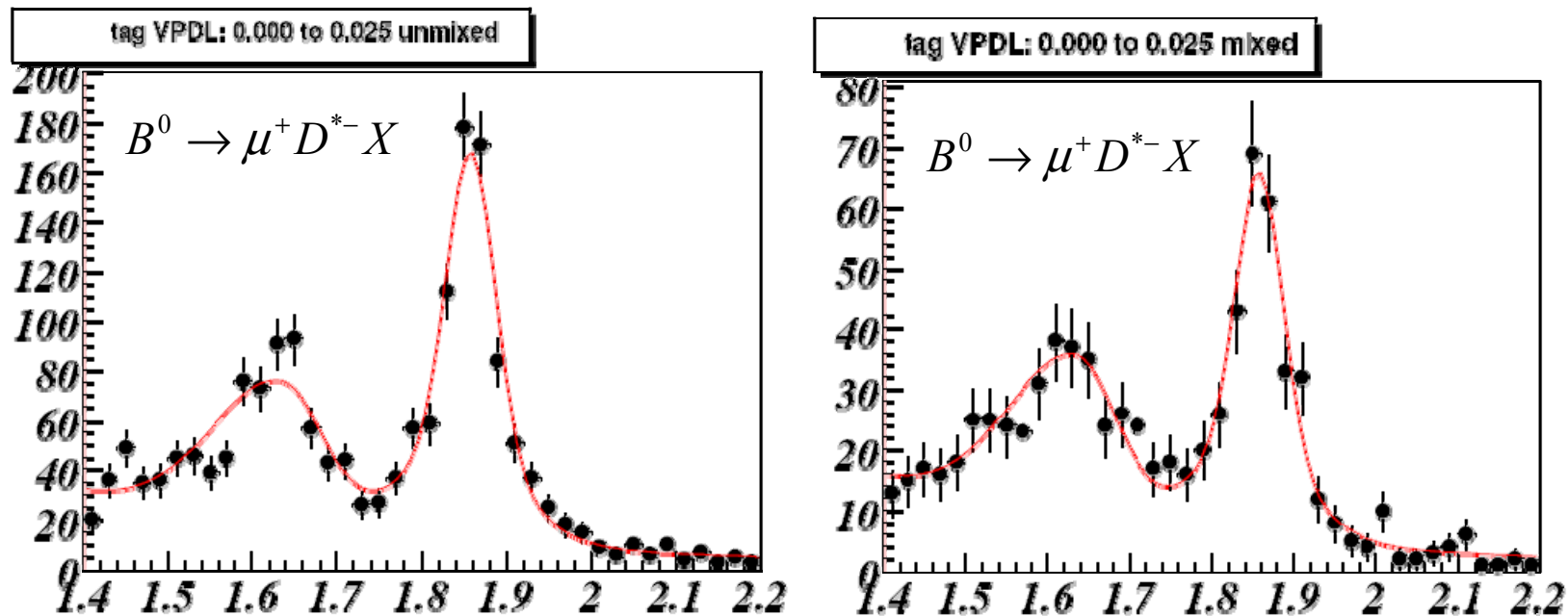
Fitting procedure

- Split into bins of proper decay time (VPDL).
- In each bin fit N_{unmixed} and N_{mixed} to find asymmetry.



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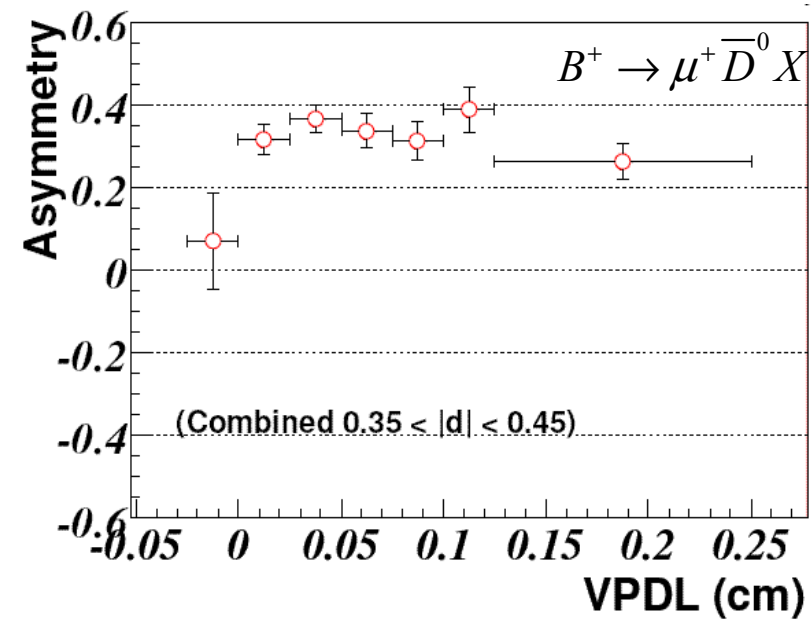
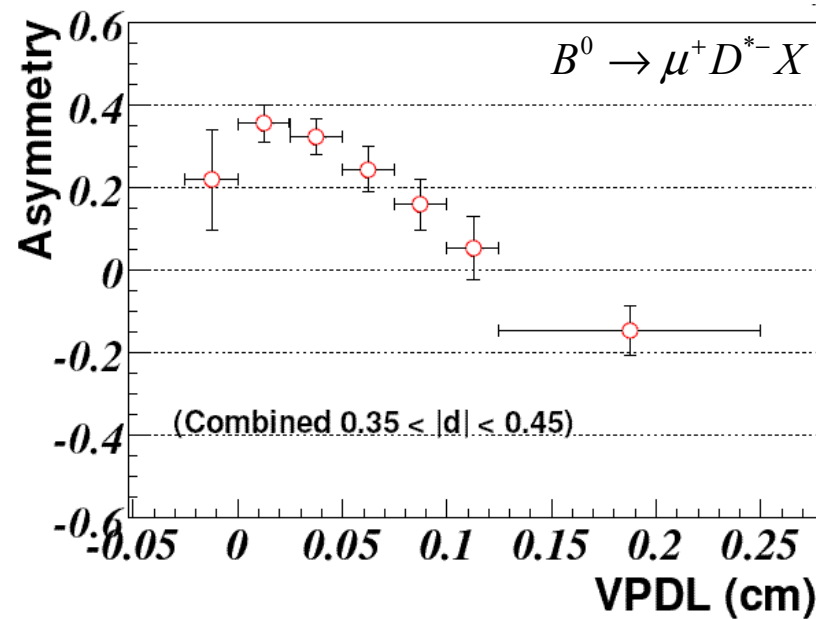


$$\text{Asymmetry} = \frac{N_{\text{unmixed}} - N_{\text{mixed}}}{N_{\text{unmixed}} + N_{\text{mixed}}}$$



Fitting procedure

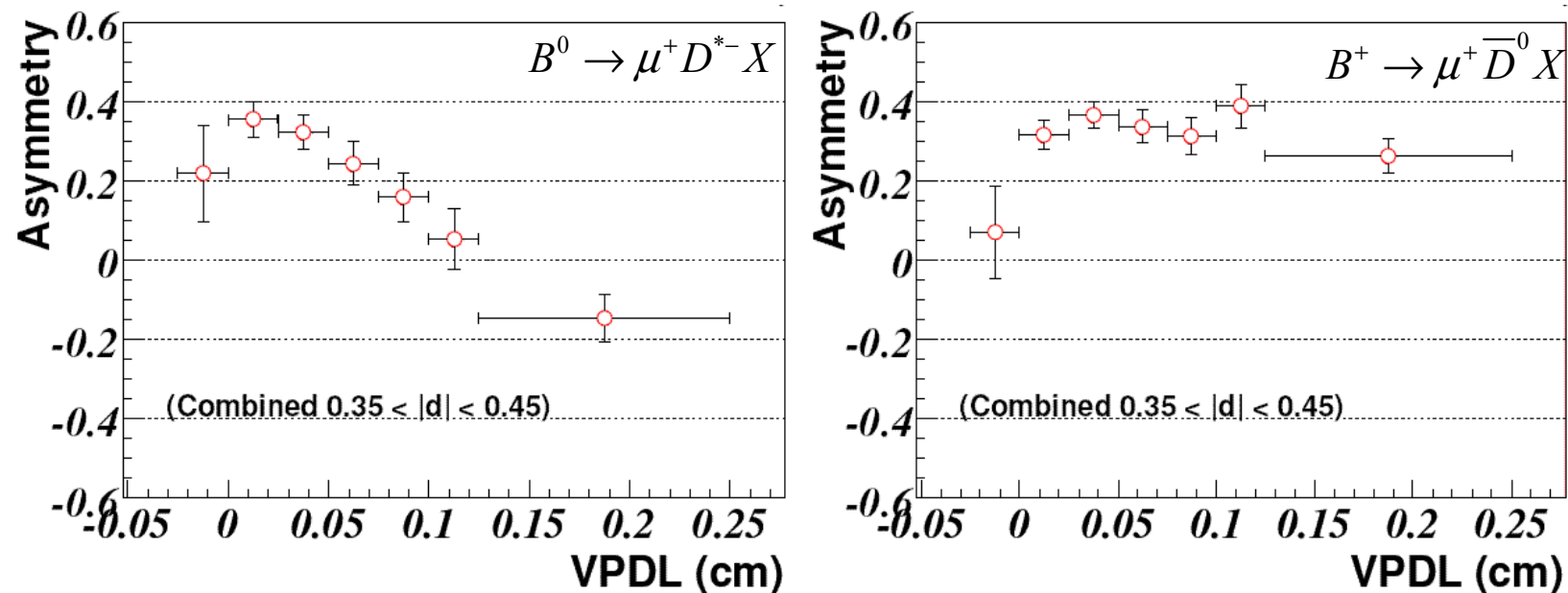
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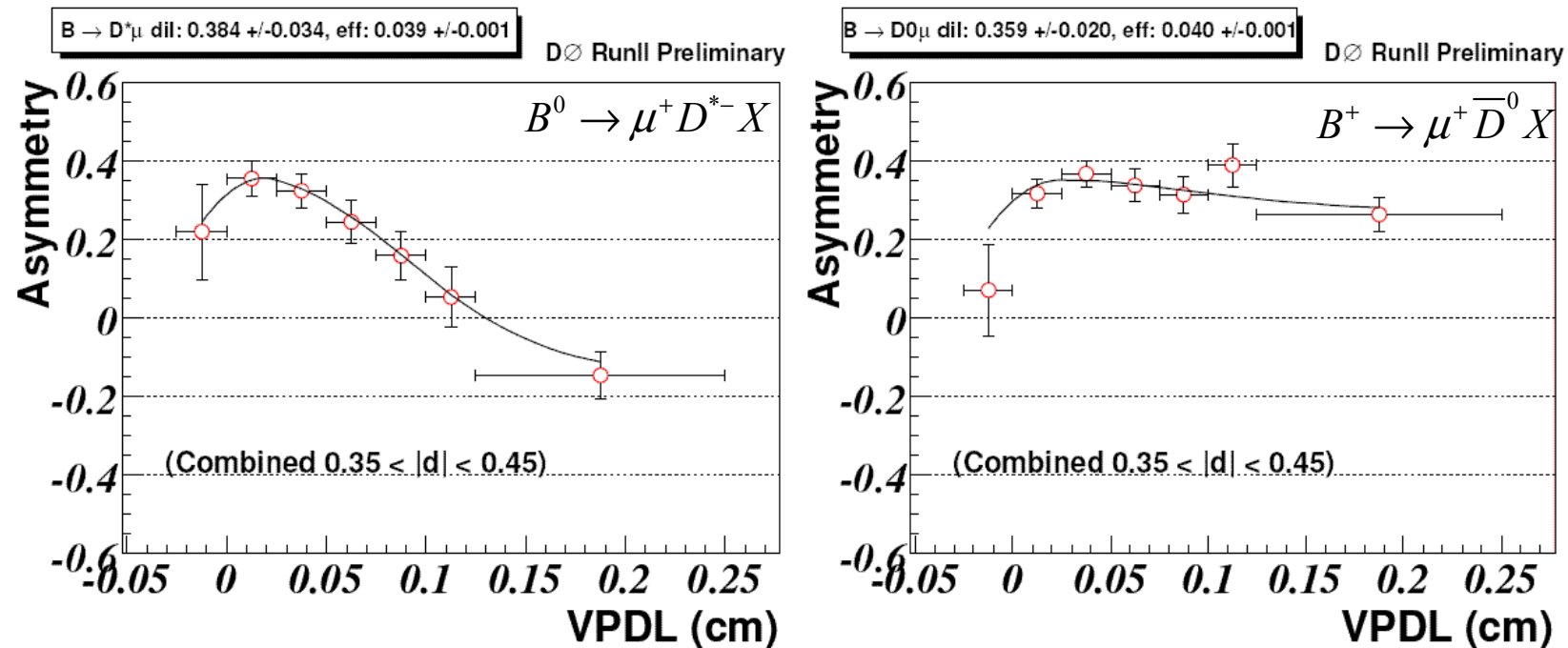
Fit asymmetries to find Δm_d and **tag dilution**

(inputs: branching ratios, detector resolution, reconstruction efficiencies,
k-factors, charm contamination)



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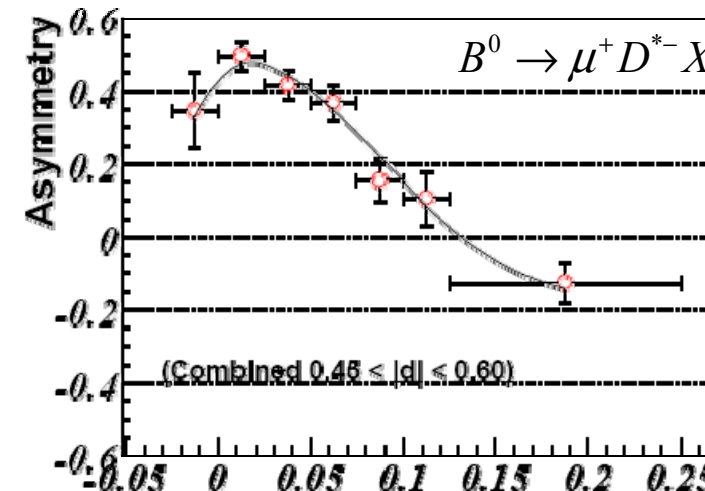
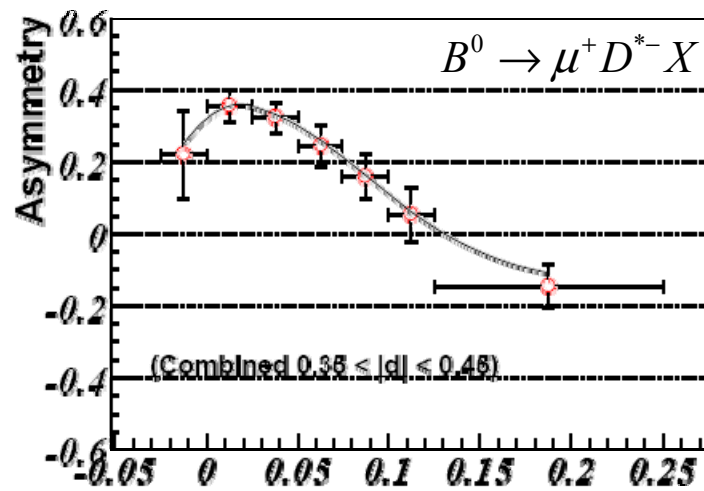
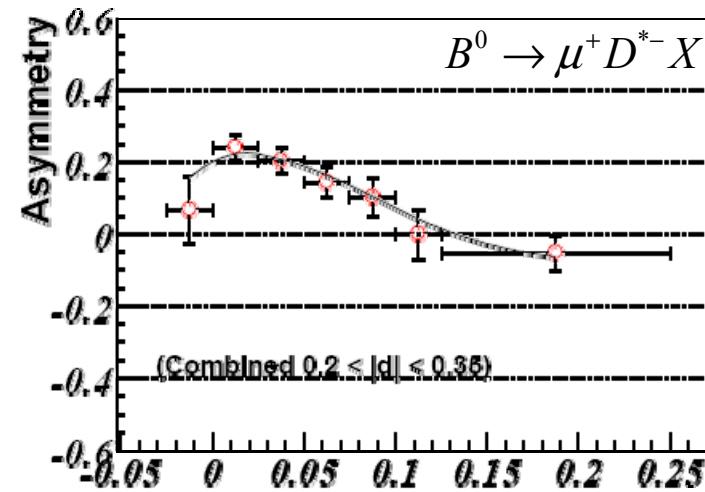
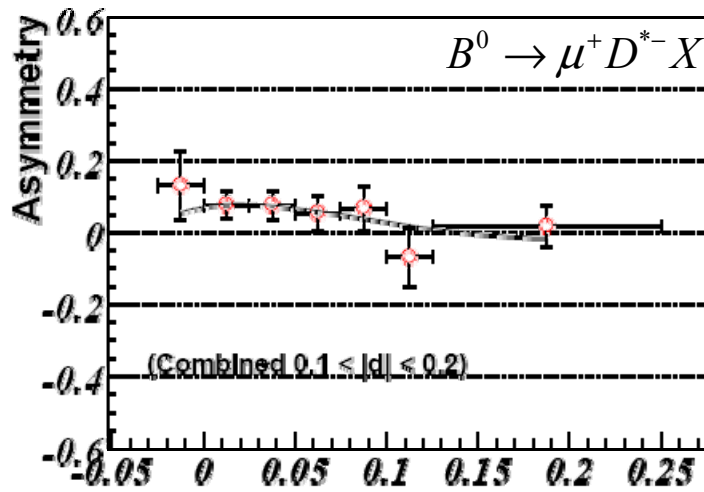
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Fitting procedure

Simultaneously fit in 5 bins of dilution for best measurement of Δm_d





Results

Mixing measurement:

$$\Delta m_d = \mathbf{0.506} \pm 0.020 \text{ (stat)} \pm 0.016 \text{ (sys)} \text{ ps}^{-1}$$

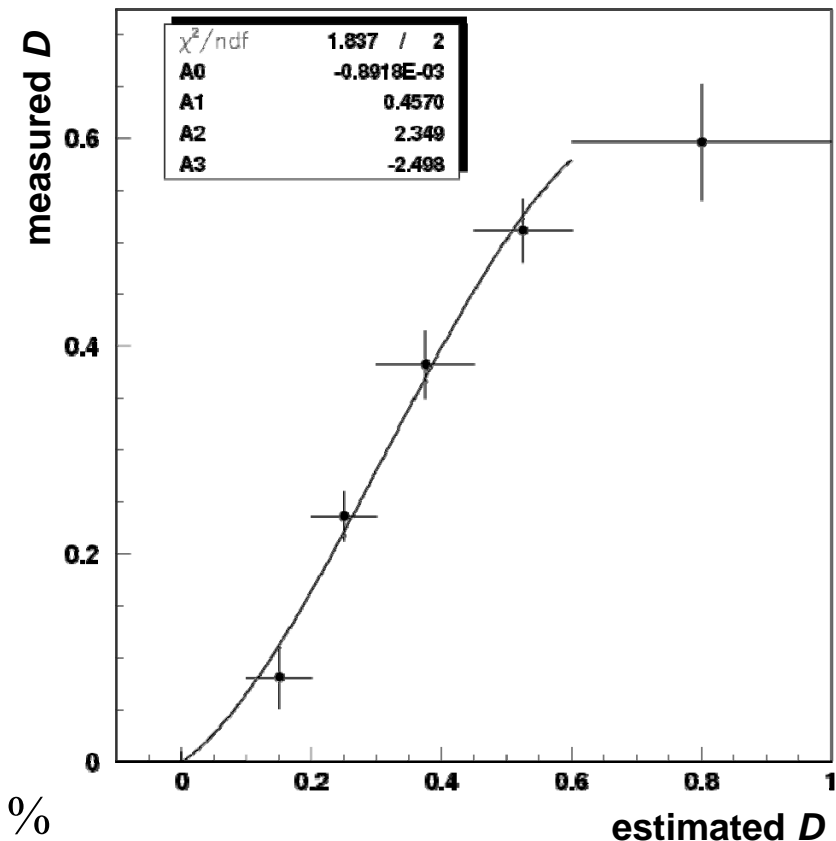
c.f. world average $\Delta m_d = 0.509 \pm 0.004 \text{ ps}^{-1}$

Calibrated tag dilution:

estimated D	measured D	
	B^+ events	B_d^0 events
$0.10 < d < 0.20$	0.079 ± 0.029	0.104 ± 0.017
$0.20 < d < 0.30$	0.212 ± 0.024	0.234 ± 0.014
$0.30 < d < 0.45$	0.364 ± 0.032	0.361 ± 0.018
$0.45 < d < 0.60$	0.489 ± 0.030	0.504 ± 0.016
$d > 0.60$	0.572 ± 0.056	0.498 ± 0.031

Tagging power:

$$\epsilon D^2 = \mathbf{2.48} \pm 0.21 \text{ (stat)} \pm 0.08 \text{ (syst)} \%$$





Summary

B_d mixing has been measured, and is compatible with the world average result: $\Delta m_d = 0.506 \pm 0.020$ (stat) ± 0.016 (sys) ps^{-1}

The measured dilutions for B^+ and B^0 events are in agreement, as expected for the opposite side tagging method.

The calibrated dilution is an essential input in the B_s amplitude analysis.

The power of the combined opposite side tagger is measured to be: $\epsilon D^2 = 2.48 \pm 0.21$ (stat) ± 0.08 (syst) %