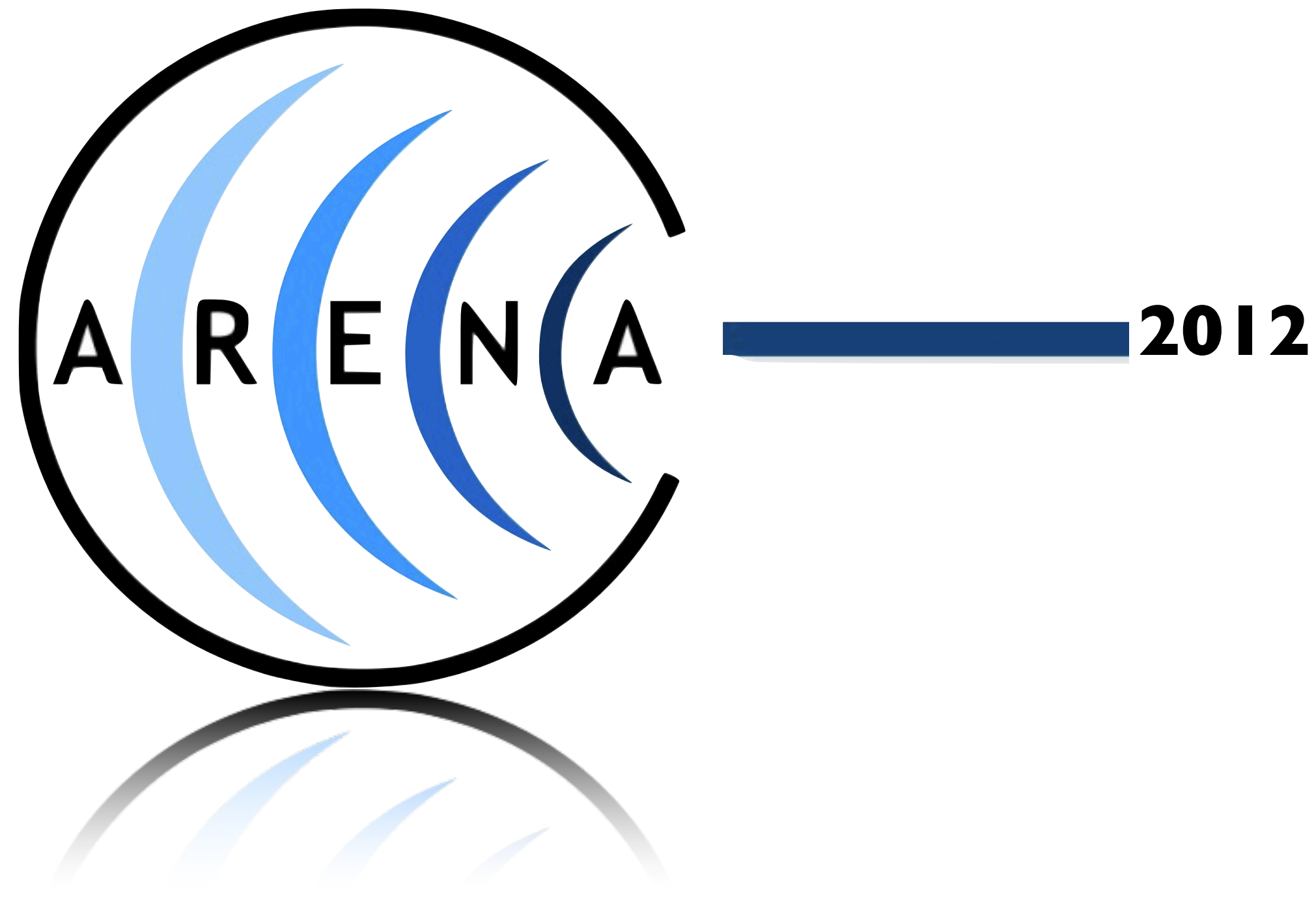


Overview of MHz air shower radio experiments and results





Aims

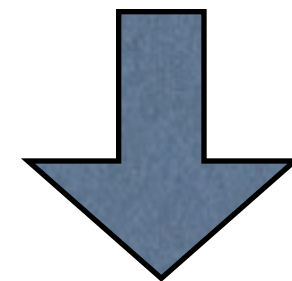
- **arrival direction in the sky** (ra, dec): under control
- **energy of the primary**: work ongoing, correlation electric field with primary energy provided by another detector (SD and/or FD)
- **nature of the primary**: work ongoing, need another detector (FD)
- **angular reconstruction**: under control
- **emission mechanisms**: through polarization, geomagnetic and charge-excess identified (different polarization patterns)
- **LDF and core position**: work ongoing

and then (only then), we will answer to the FAQ:
what about a huge radio array over tens or thousands of km²?

From data to physics

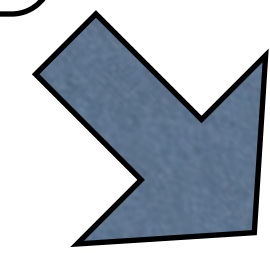
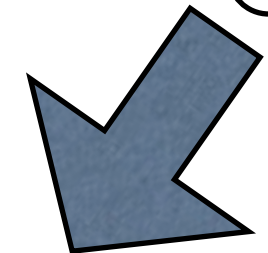
**physics/
astrophysics**

We want to estimate
 $E, A, (ra, dec)$



data analysis

using
 $(\theta, \Phi, t_0), (x_c, y_c), \epsilon$



technics

interferometry:
merge data from
different units

use data of individual
units separately

LOPES

good solution
if the site is noisy

- array of
wired units

**CODALEMA 1,2
MAXIMA
TREND, LOFAR+LORA,
RASTA, Tunka-Rex...**

- array of fully
autonomous units

**CODALEMA3
RAuger 1,2
AERA
EASIER MHz...**

Howto

I. Interferometry, example of the LOPES experiment

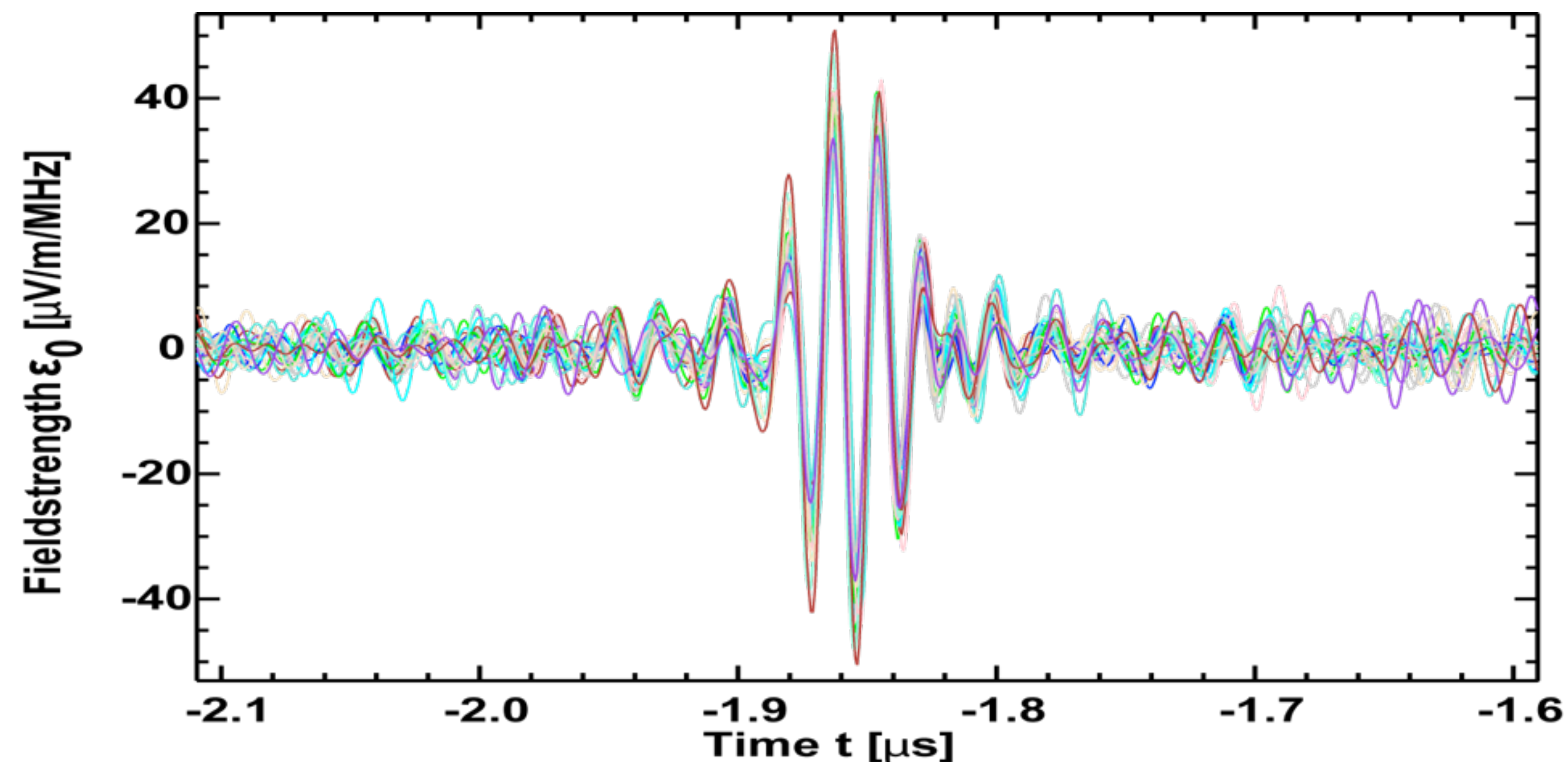


- digital radio interferometer
- triggered by KASCADE
- energy range $10^{16.8}$ - 10^{18} eV
- shower reconstruction provided by KASCADE (also N_e , N_μ)
- radio-noisy environment: low sampling frequency 80 MHz
- signal filtered within [40,80] MHz

Howto

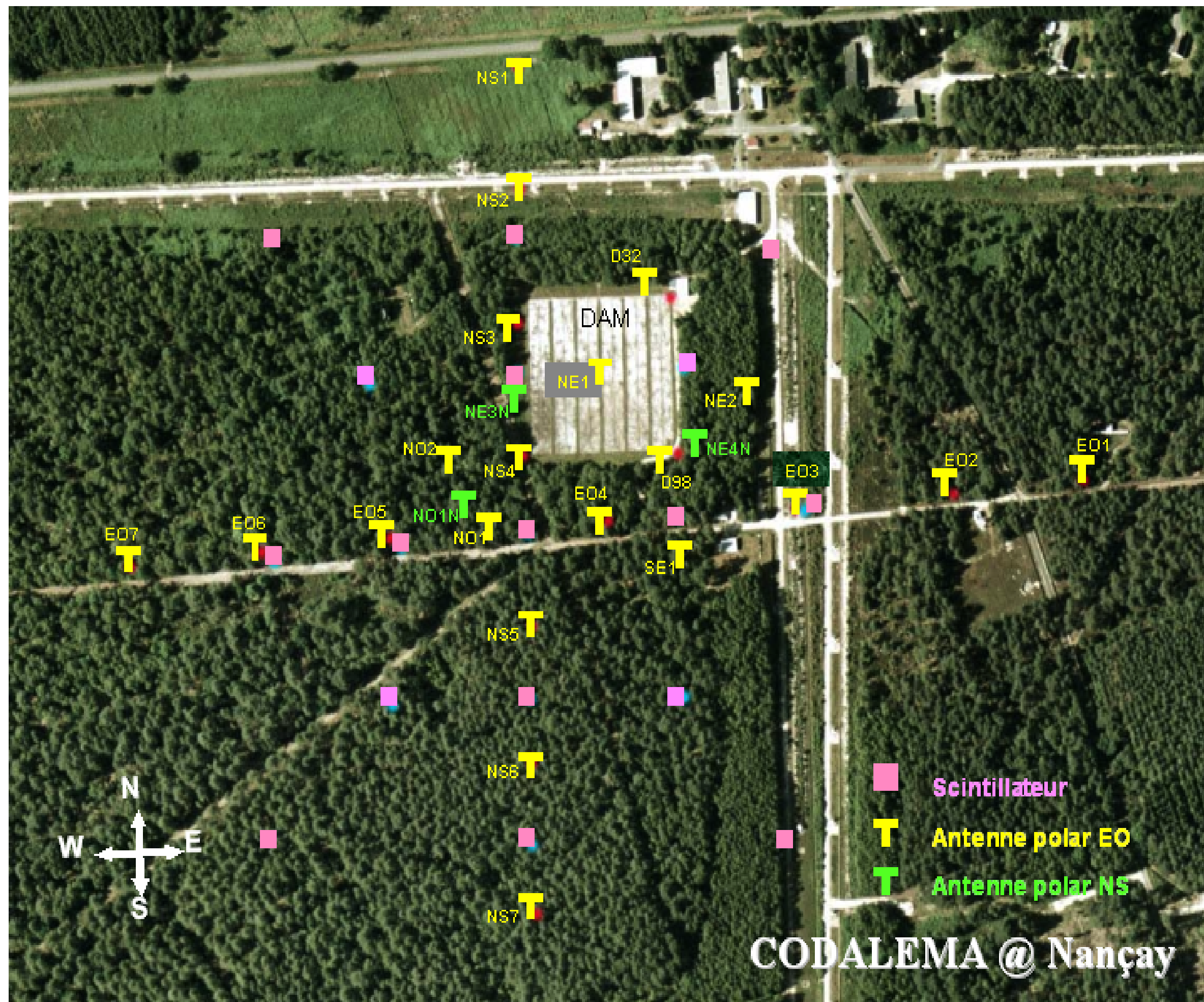
I. Interferometry, example of the LOPES experiment

After time calibration, amplitude calibration, filtering and cleaning,
cross-correlation beam forming
 provided the shower geometry (KASCADE), compute the expected arrival
 time in the antennas and “synchronize radio data”



Howto

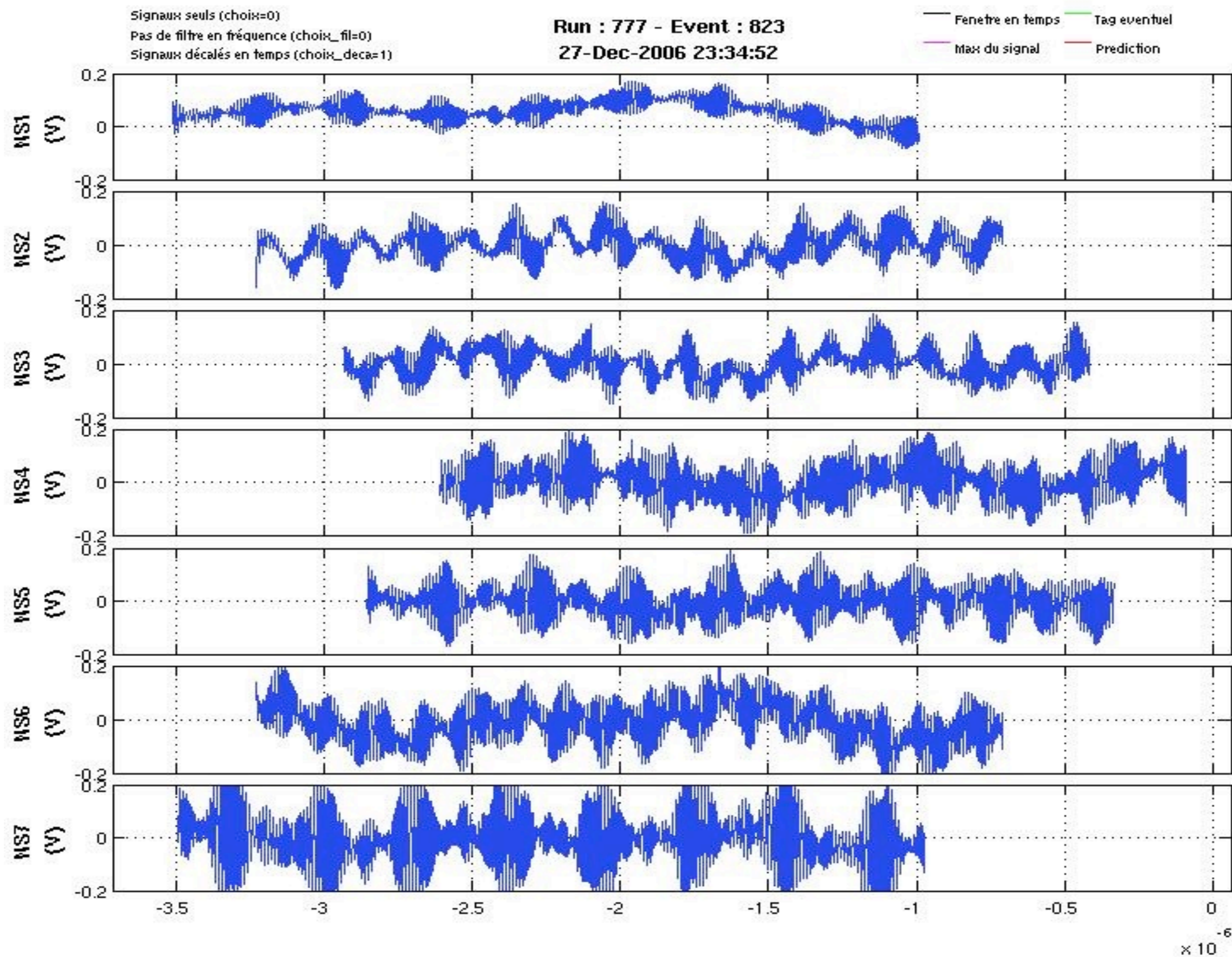
II. Particle physics-like radio detector, example of the CODALEMA2 experiment



- radio-quiet site
- array of **21 EW** and **3 NS** antennas, step of 85 m, 2 arms of 600 m length
- DAM: 144 log-periodic antennas 80x80 m²
- array of 17 scintillators, step of 80 m, 300m x 300m : CODALEMA trigger
- energy threshold around 10¹⁵ eV (knee region), full acceptance at 10¹⁶ eV
- MATAACQ ADC: 12 bits, 1 GHz, 2500 samples

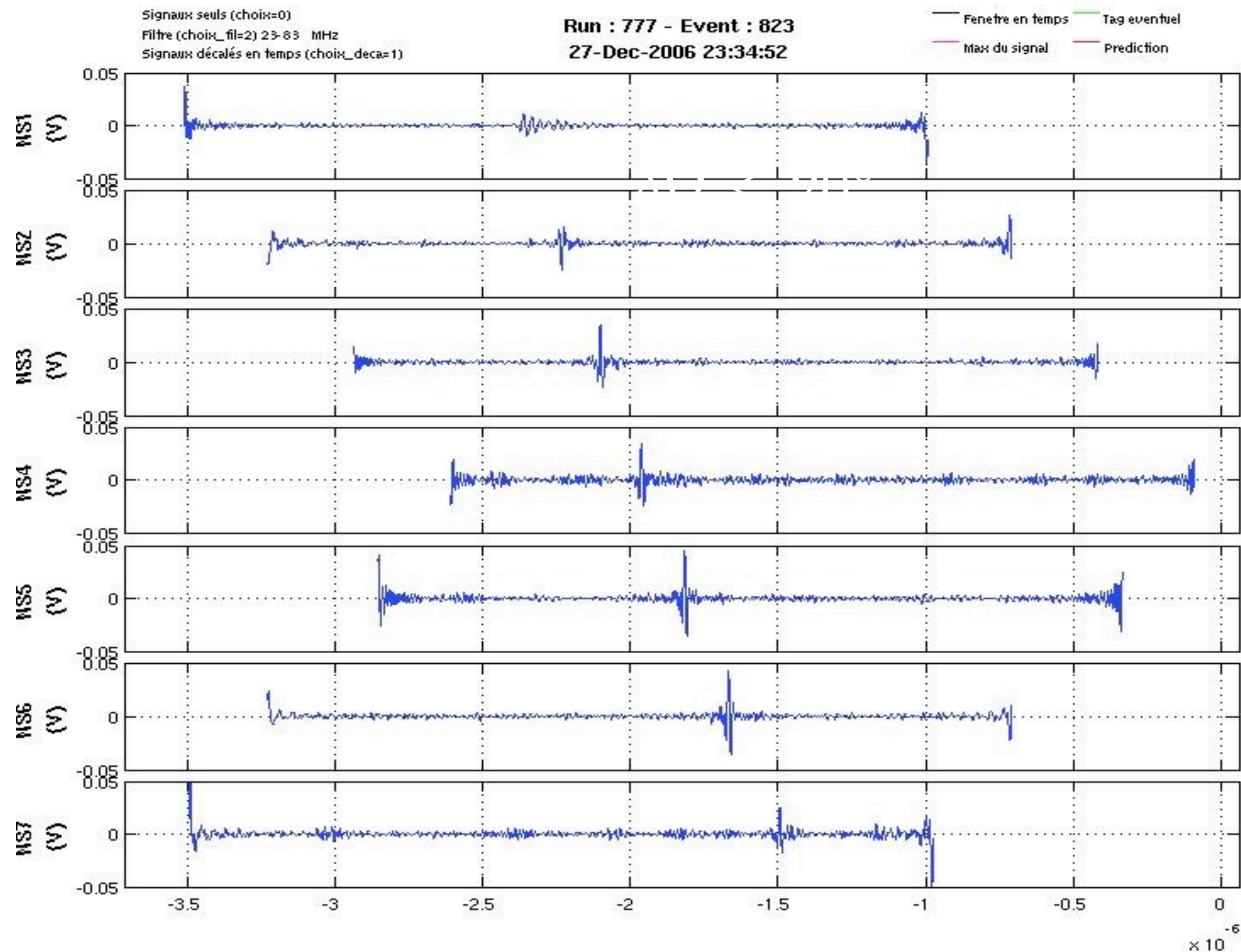
Howto

II. Particle physics-like radio detector, example of the CODALEMA2 experiment



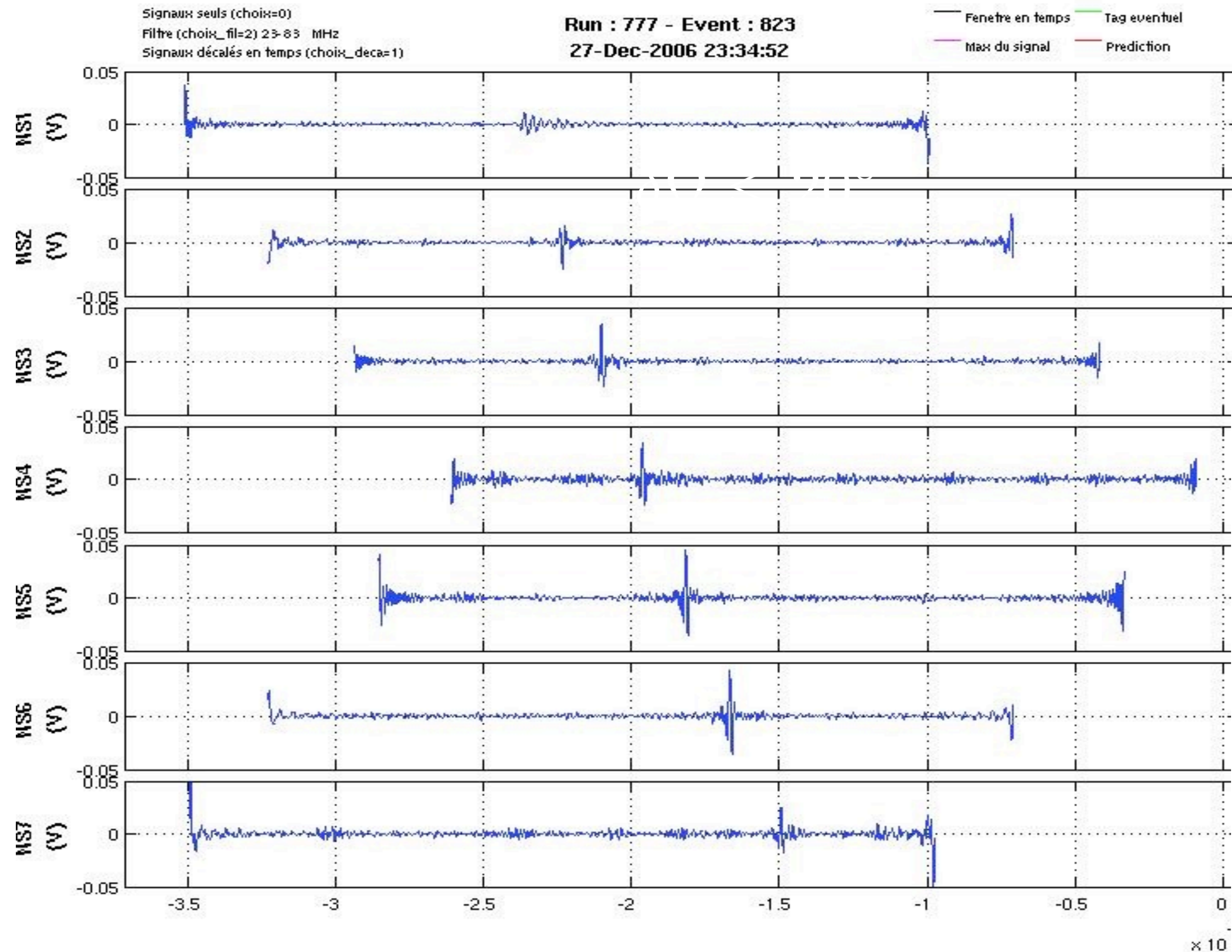
Howto

II. Particle physics-like radio detector, example of the CODALEMA2 experiment



Howto

II. Particle physics-like radio detector, example of the CODALEMA2 experiment

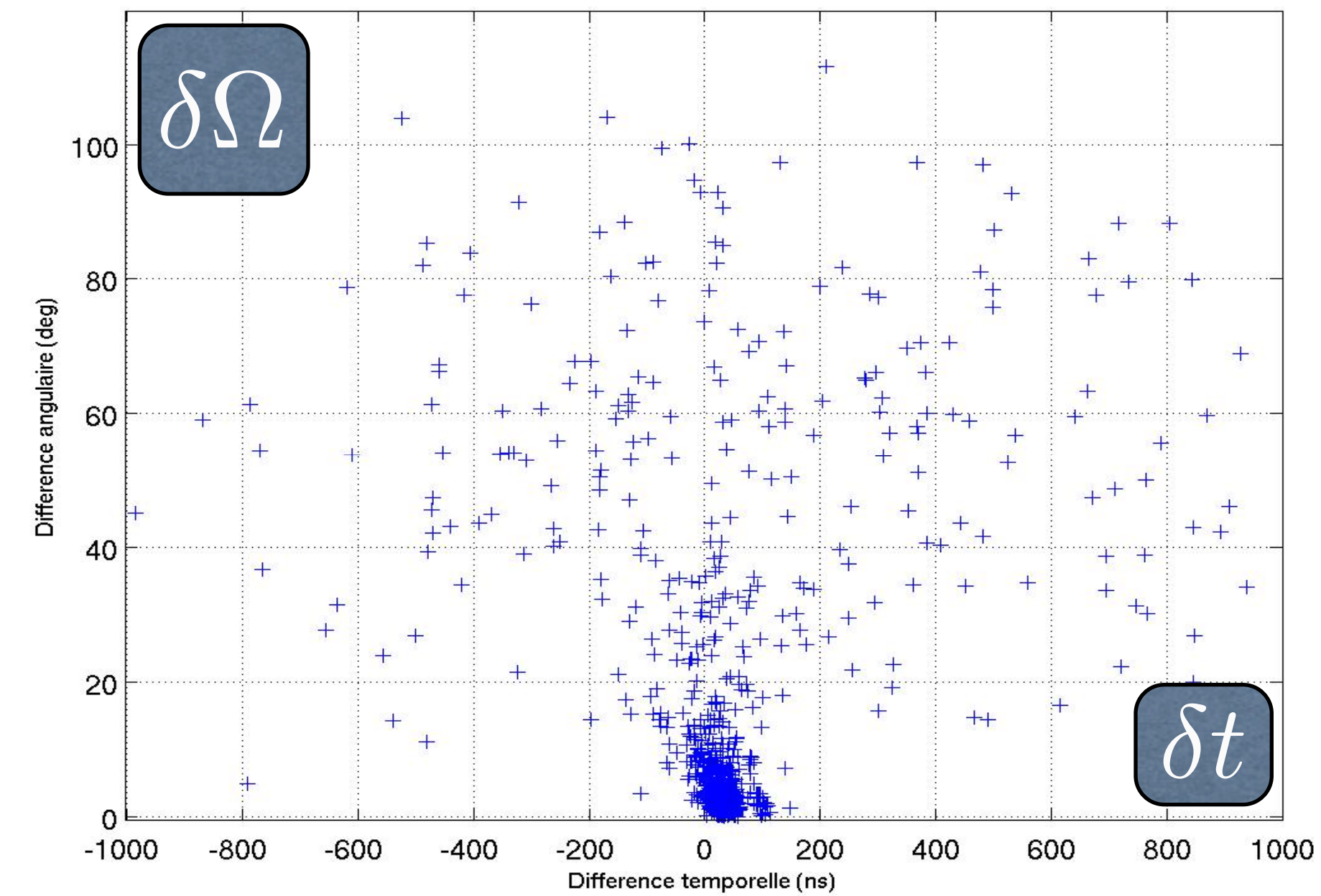


$(\theta, \phi, t_0)_{\text{scintillator}}$

$(\theta, \phi, t_0)_{\text{radio}}$

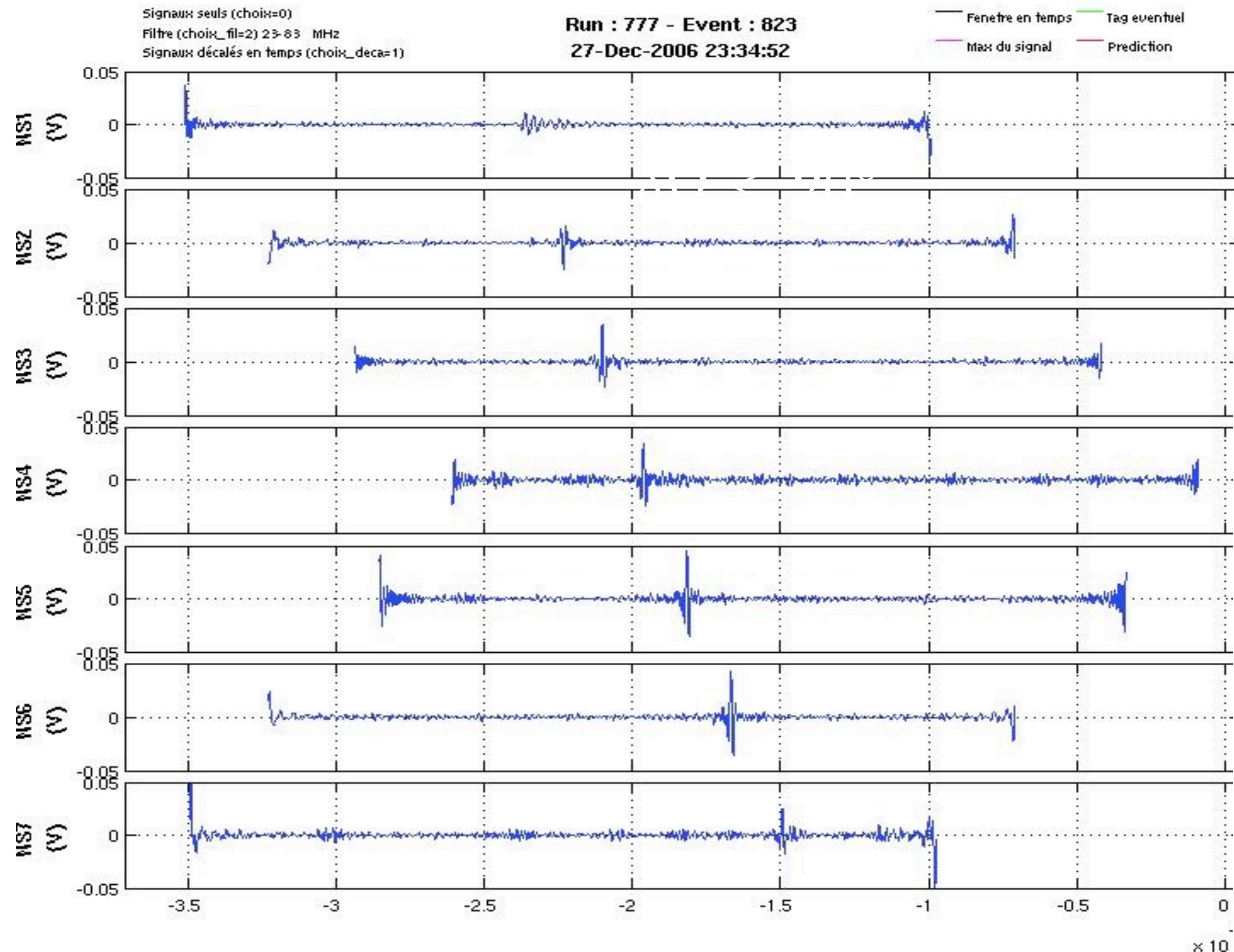
$|\delta t| \leq 100 \text{ ns}$

$\delta\Omega \leq 20^\circ$



Howto

II. Particle physics-like radio detector, example of the CODALEMA2 experiment

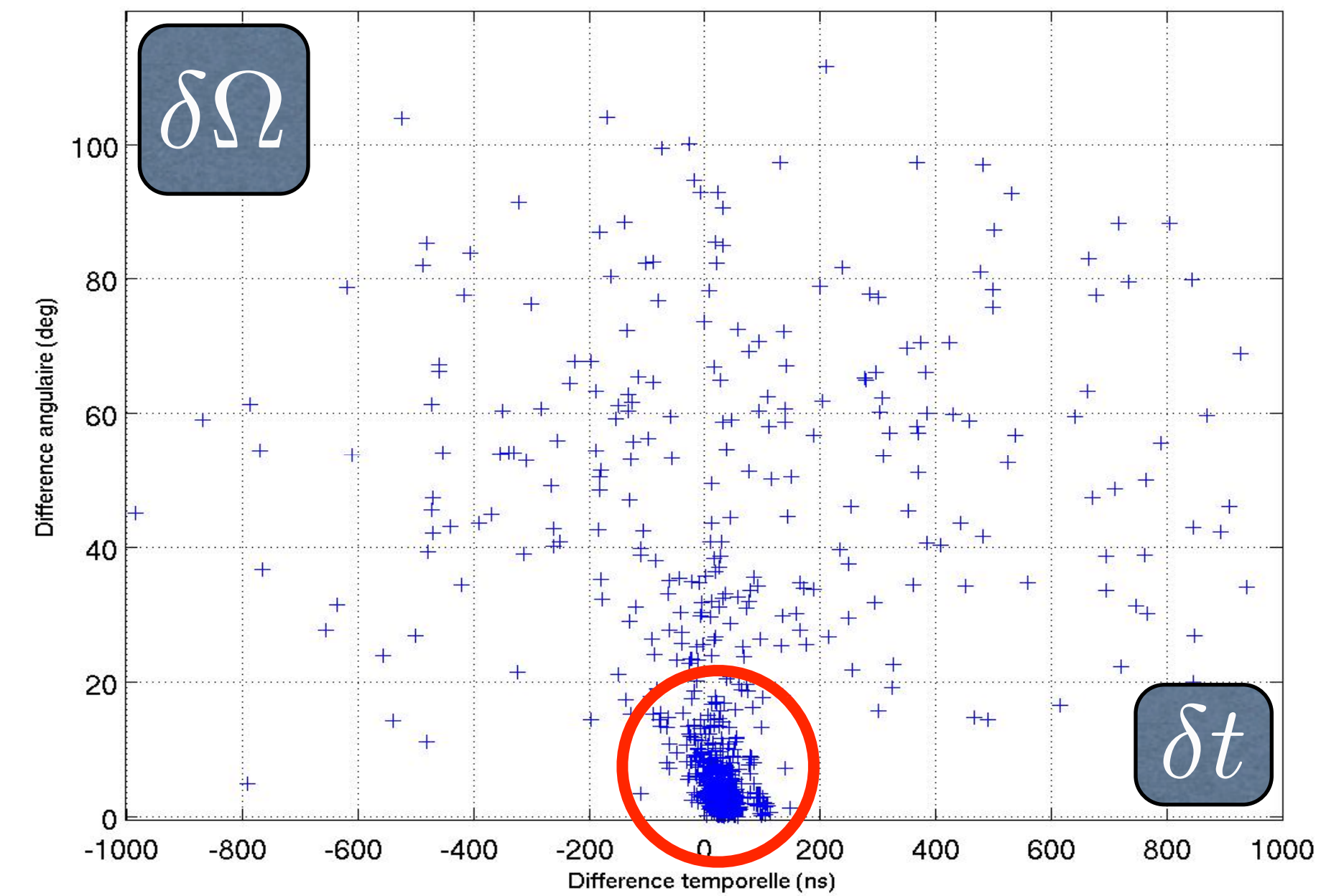


$(\theta, \phi, t_0)_{\text{scintillator}}$

$(\theta, \phi, t_0)_{\text{radio}}$

$|\delta t| \leq 100 \text{ ns}$

$\delta\Omega \leq 20^\circ$



Electric field

(description adopted in SELFAS for instance)

$$\mathbf{E}_{tot}(\mathbf{x}, t) = \frac{1}{4\pi\epsilon_0} \left\{ \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i^2 (1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret} + \frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i (1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret} - \frac{1}{c^2} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{v}_i q_i(t_{ret})}{R_i (1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret} \right\}$$

Static field

Summation of all individual static contributions

Macroscopic charge variation

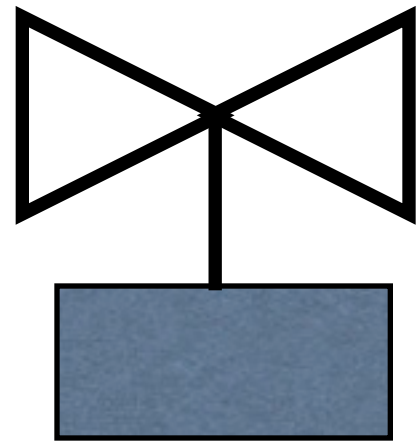
Summation of all individual charges.
The e^- excess implies a global charge variation $Q(t) = \alpha N(t)$

Current variation

Summation of all individual currents, systematic opposite drift of e^- and e^+ in \mathbf{B}

Signal correlated to the complete shower development !

What can we learn from this electric field?

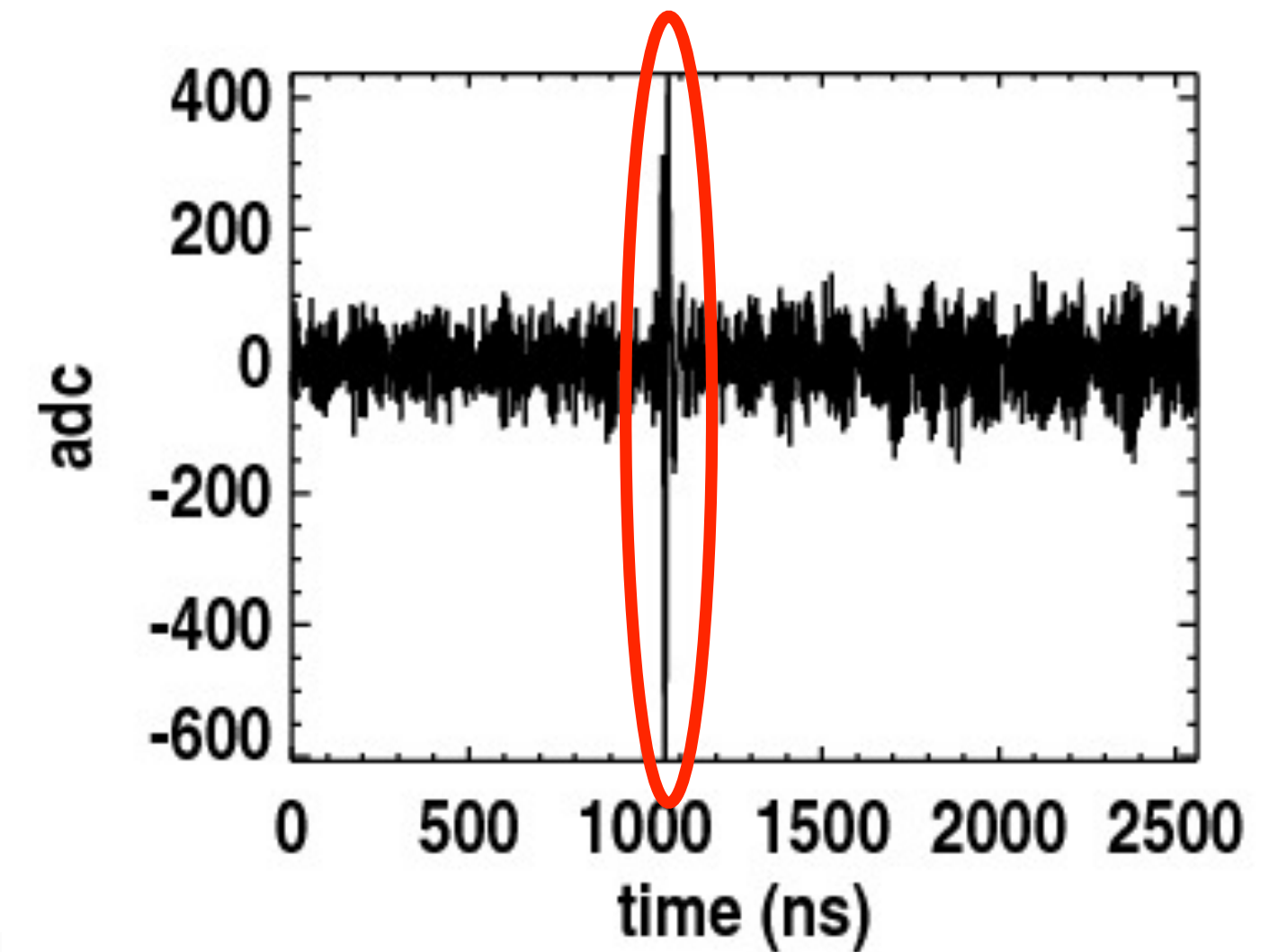


Angular resolution



all experiments provide e-field(t) for one detector:

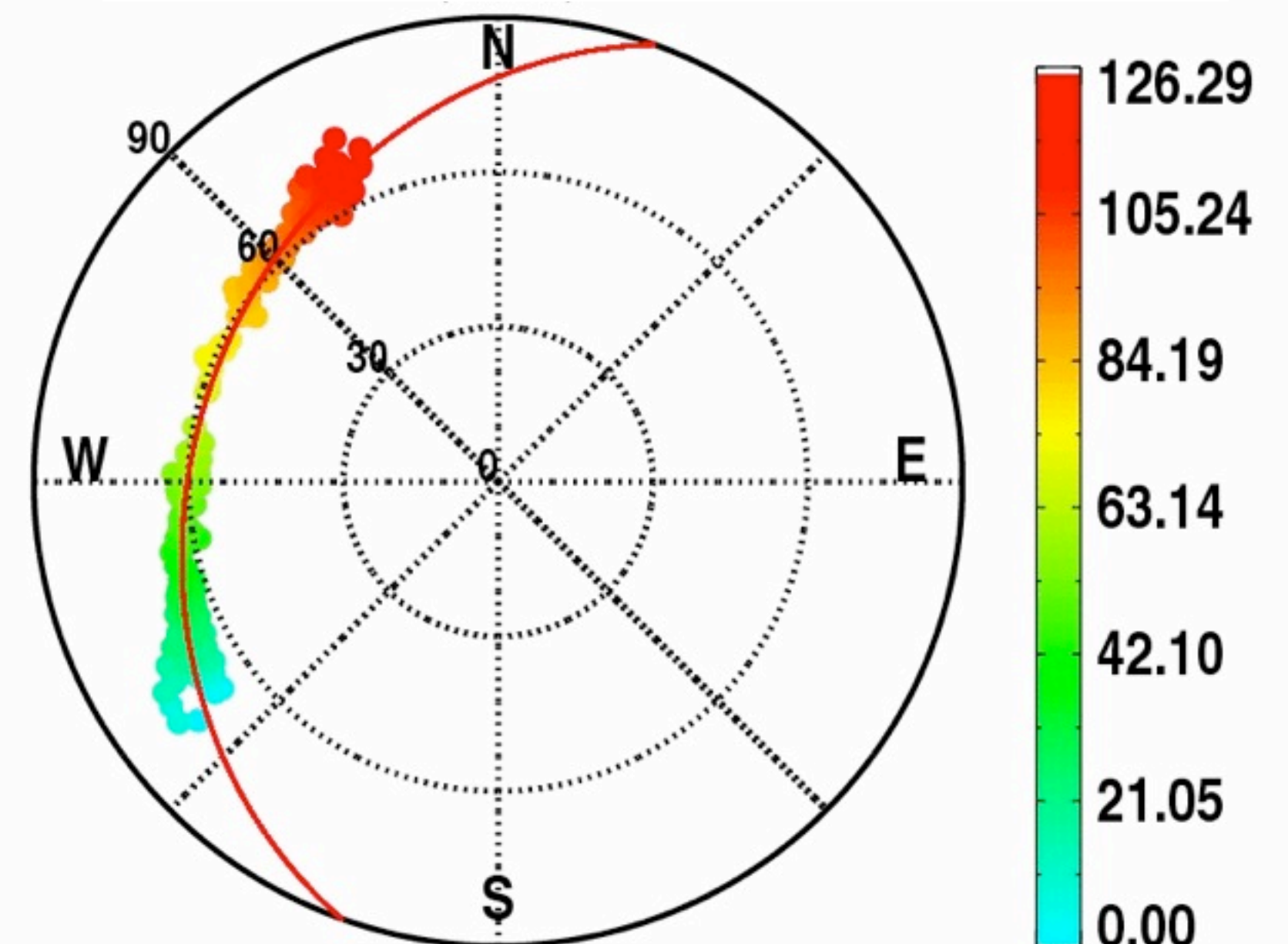
- identification of the main pulse due to the cosmic ray
- then use a timing reference (GPS) to tag the pulse



then electric field has been detected at (x,y,z,t)

➔ 3 non-aligned detectors leads to (θ, Φ)

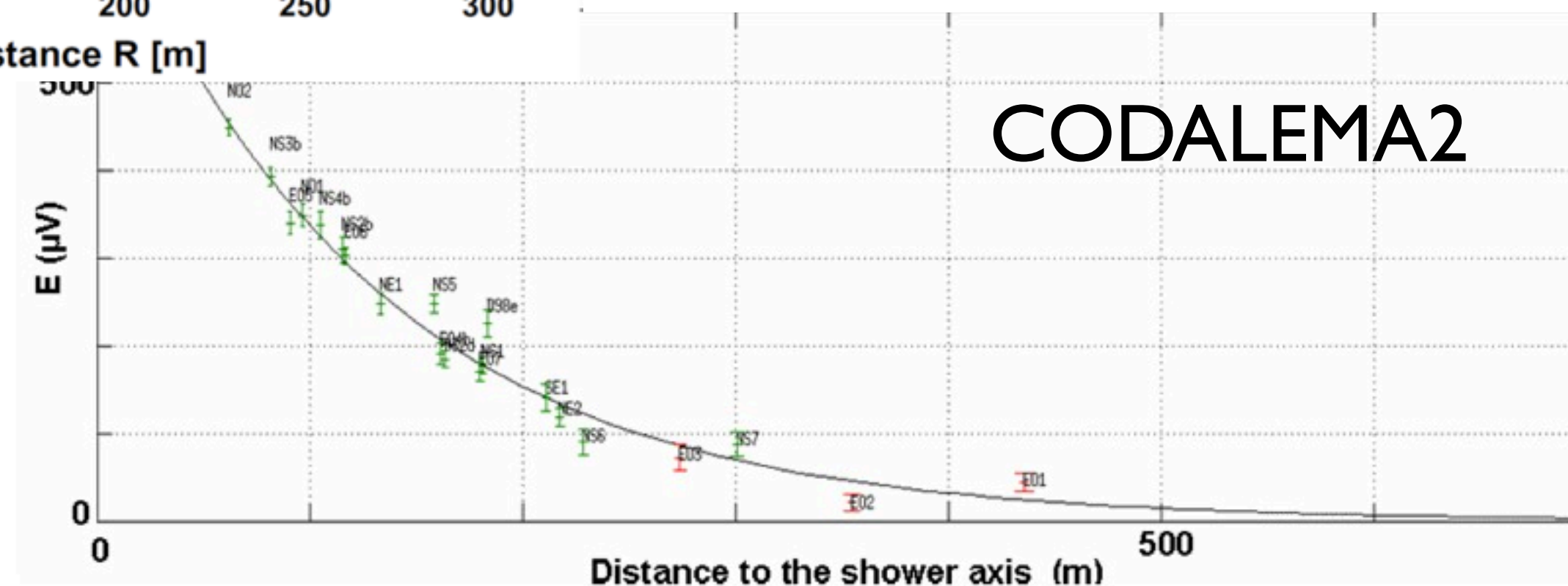
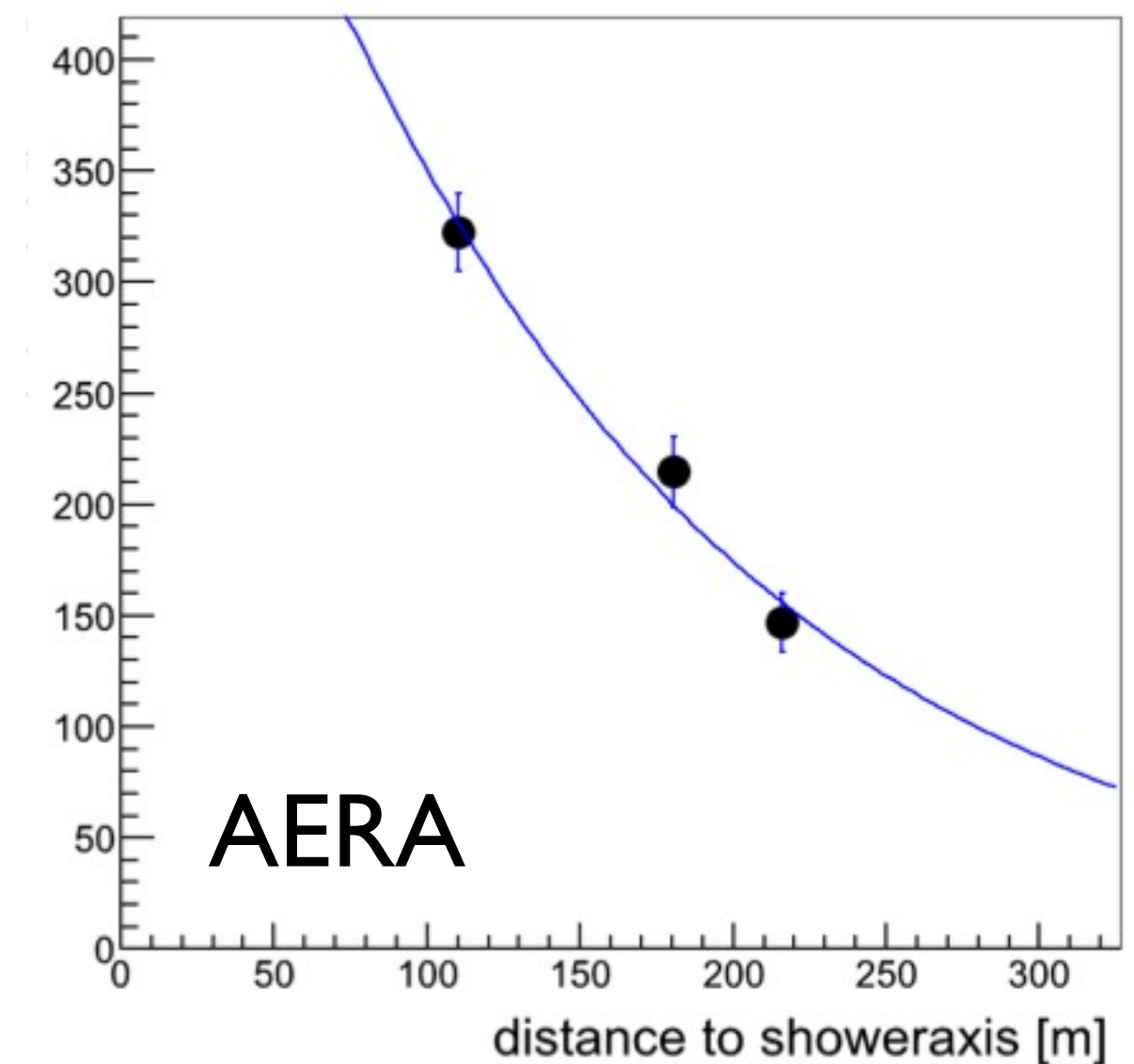
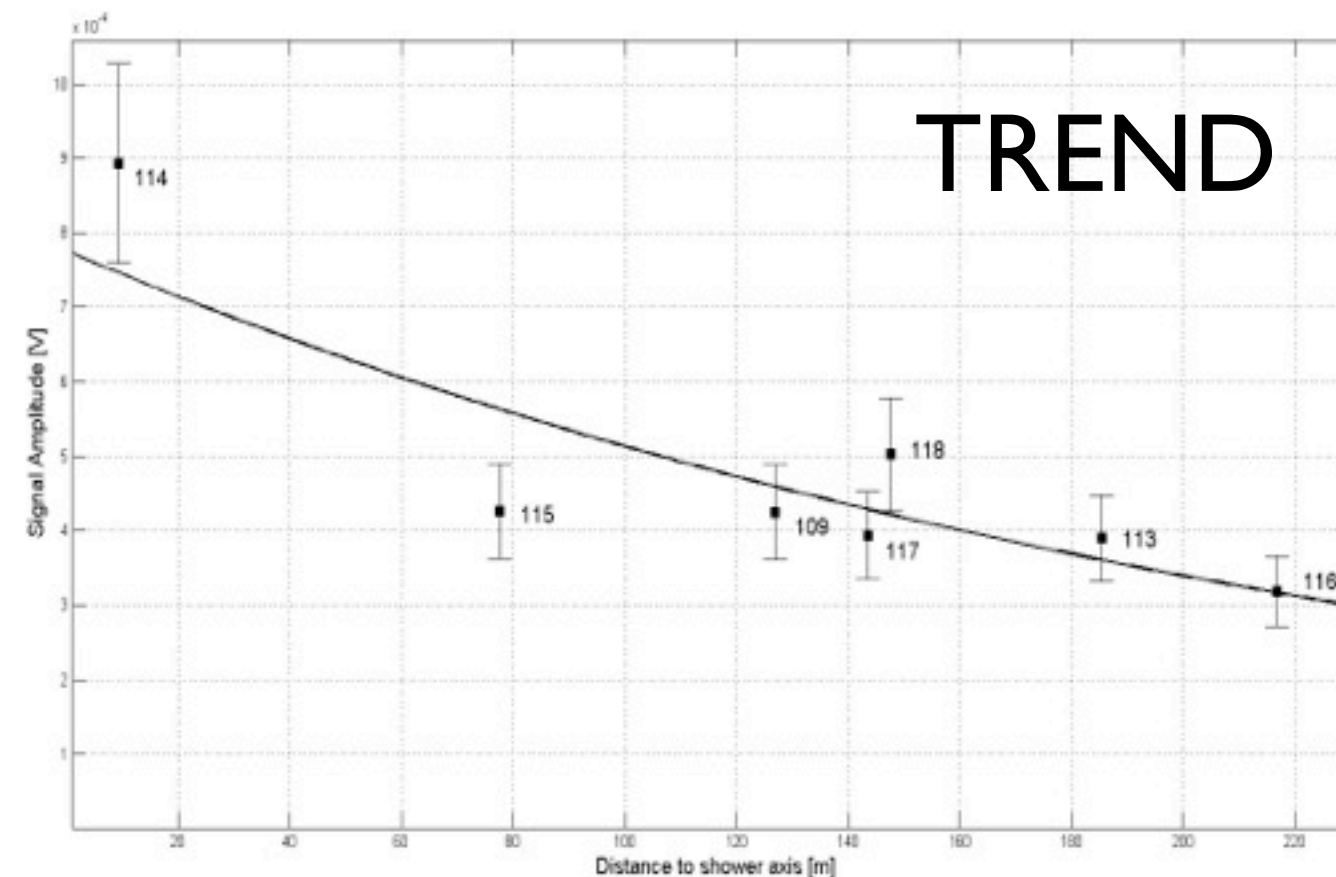
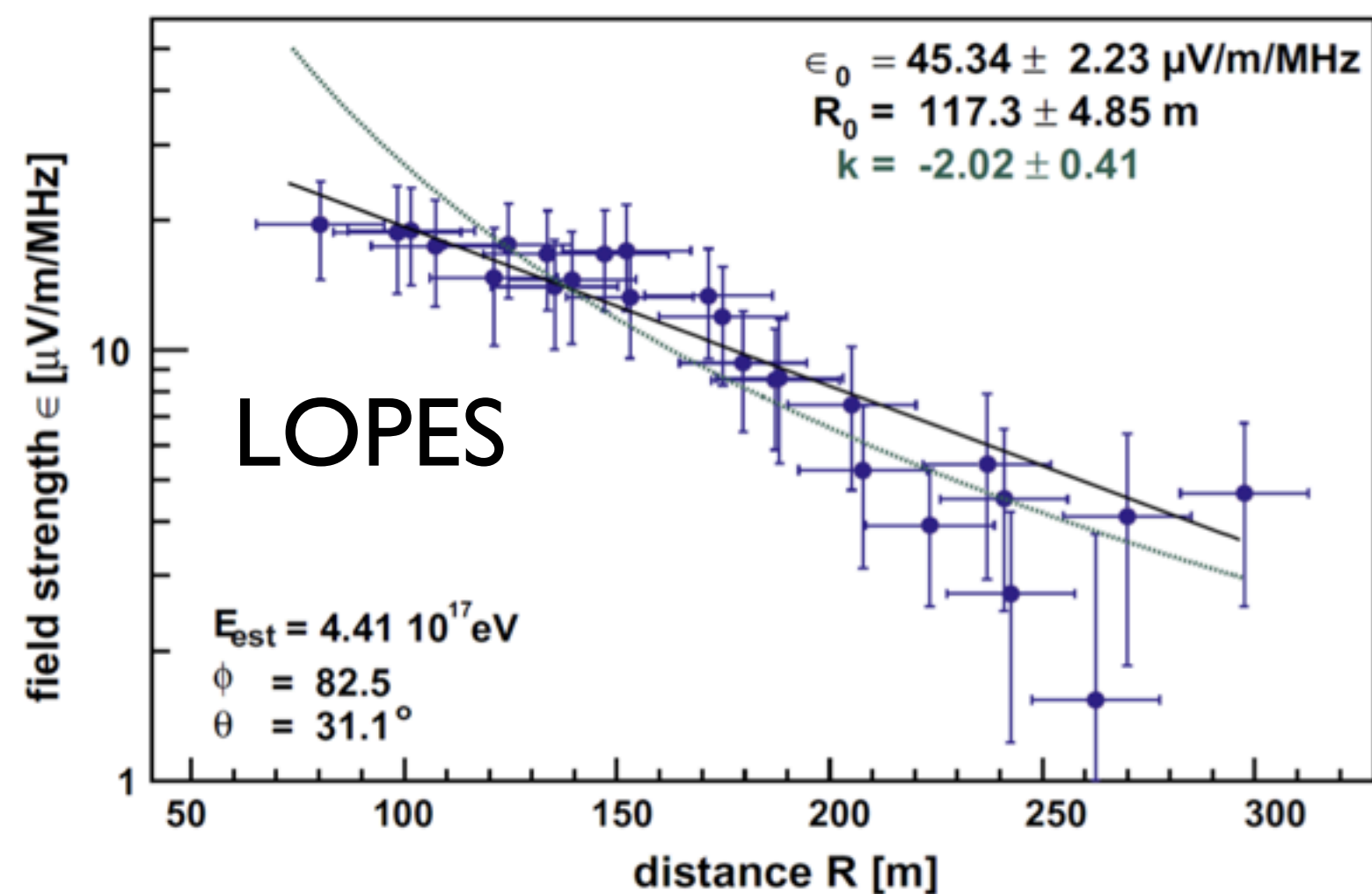
Angular resolution better than 0.5°
(much better than a typical SD)



Lateral Distribution Function

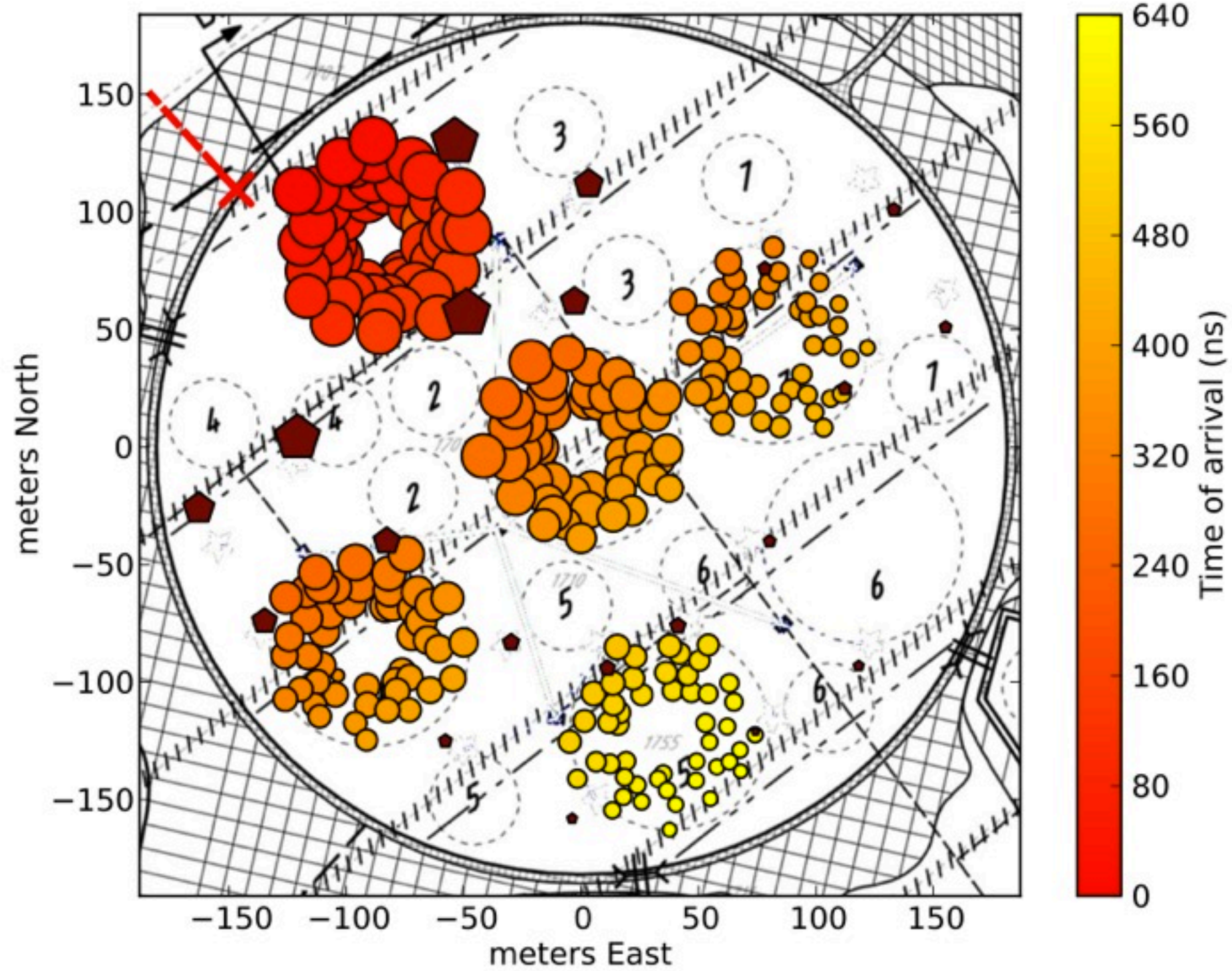
For N stations, draw e-Field = f(axis distance)

For a pure exponential profile: most of the events are OK
 some of them are **flat** for antennas close to the shower axis

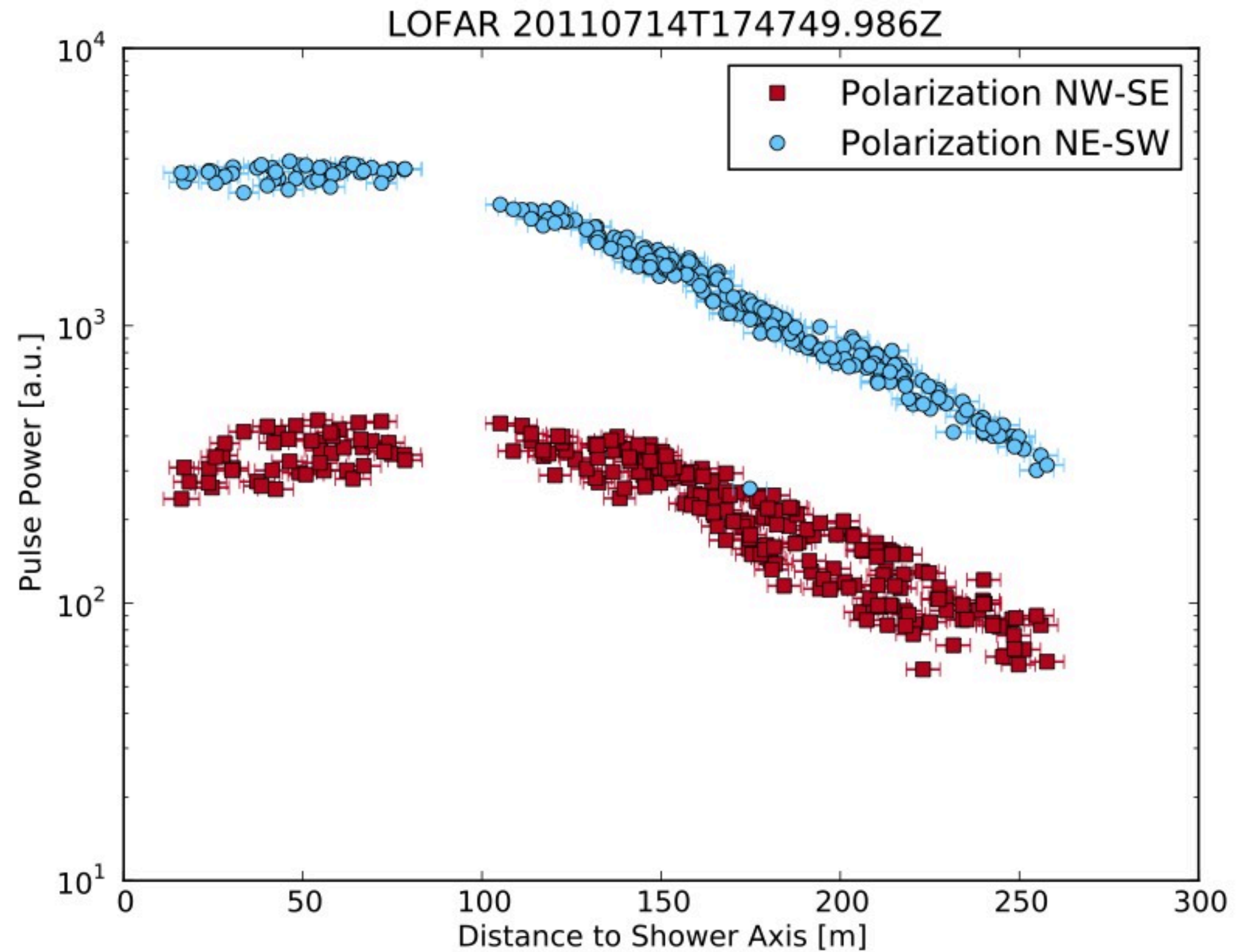


Lateral Distribution Function

LOFAR/LORA

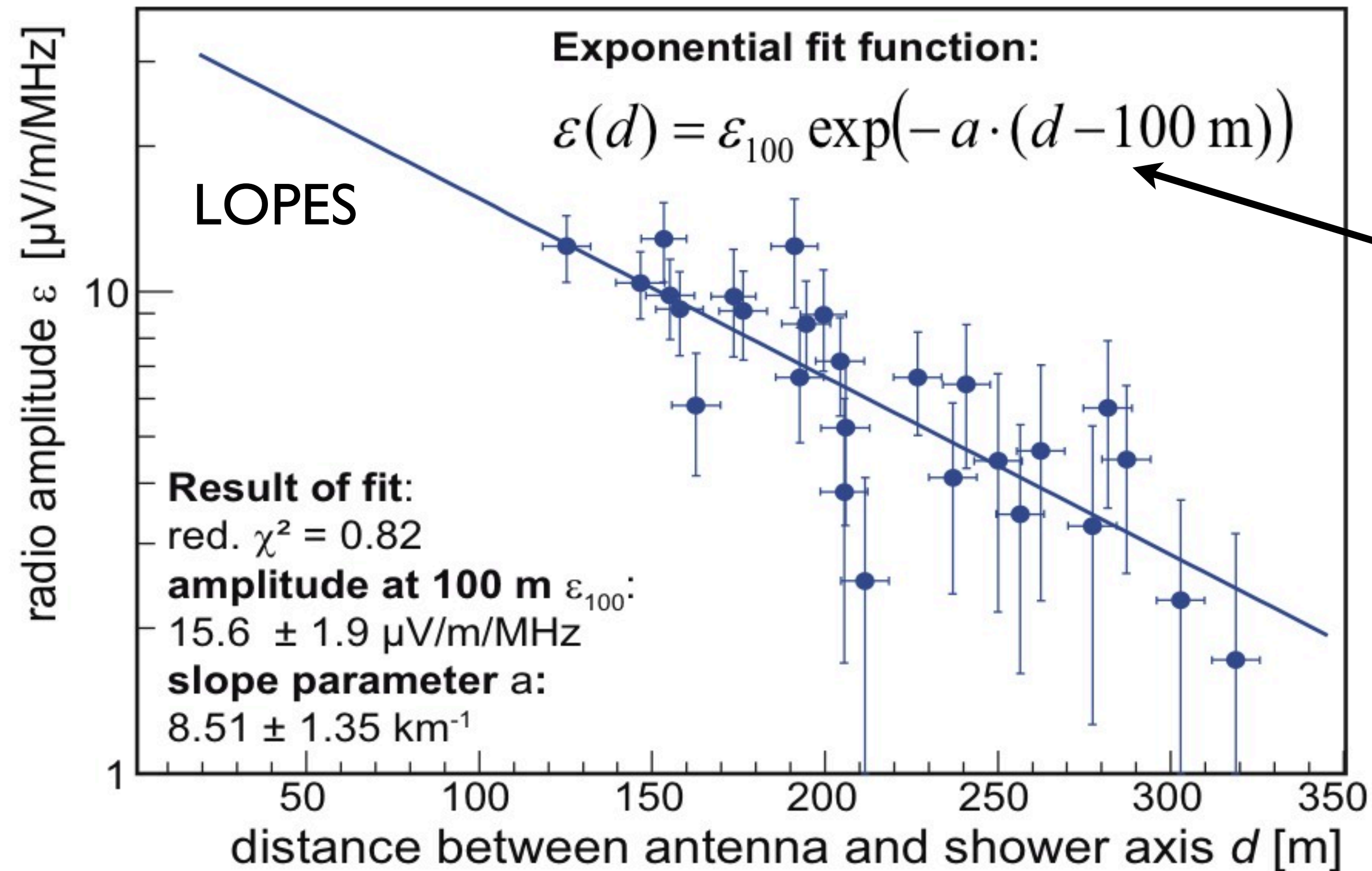


(see talk of A. Nelles)



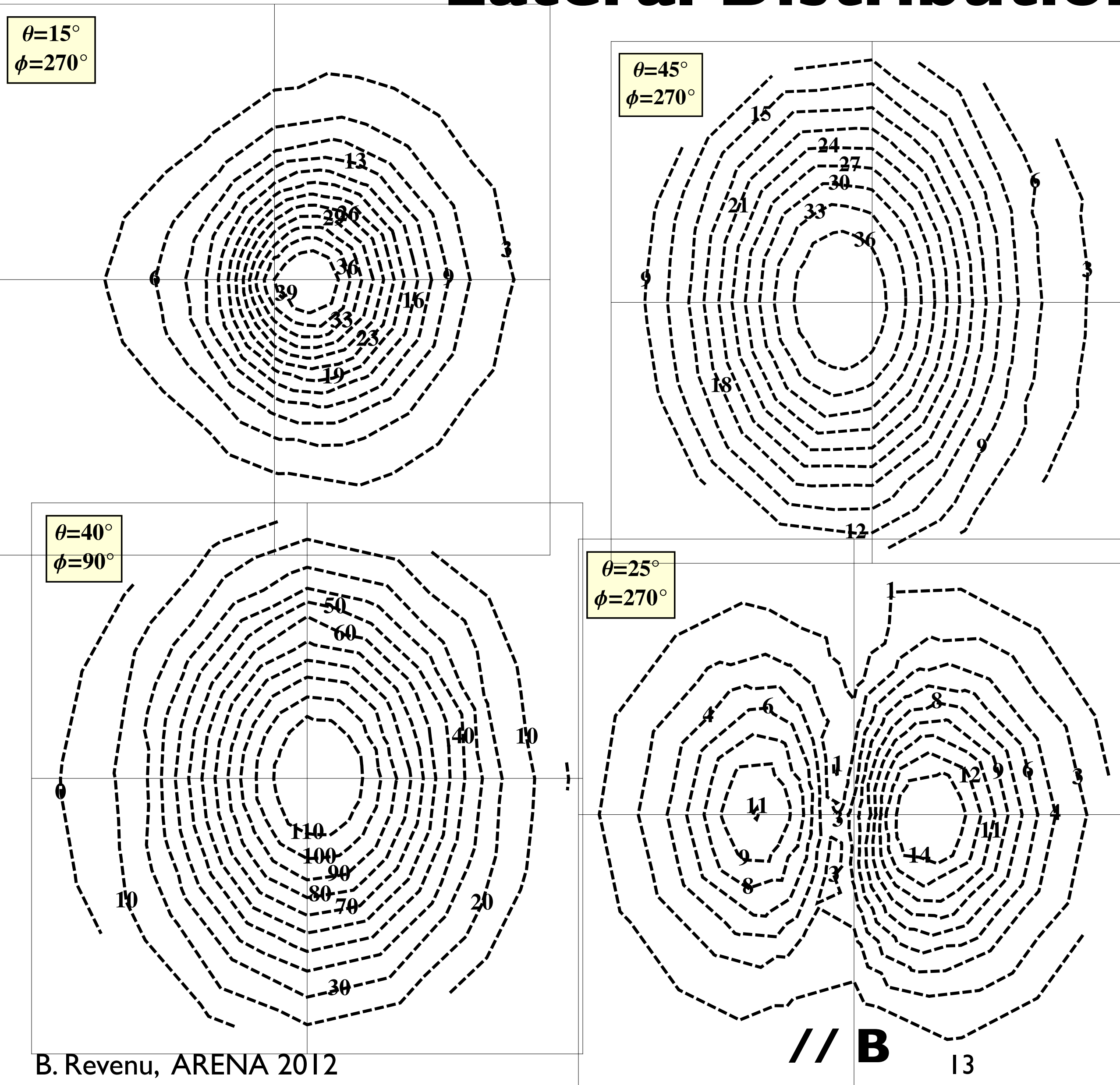
Lateral Distribution Function

LOPES, Phys. Rev. D 2012, arXiv:1203.397v1



modified
exponential function
(see talk of F. Schröder)

Lateral Distribution Function

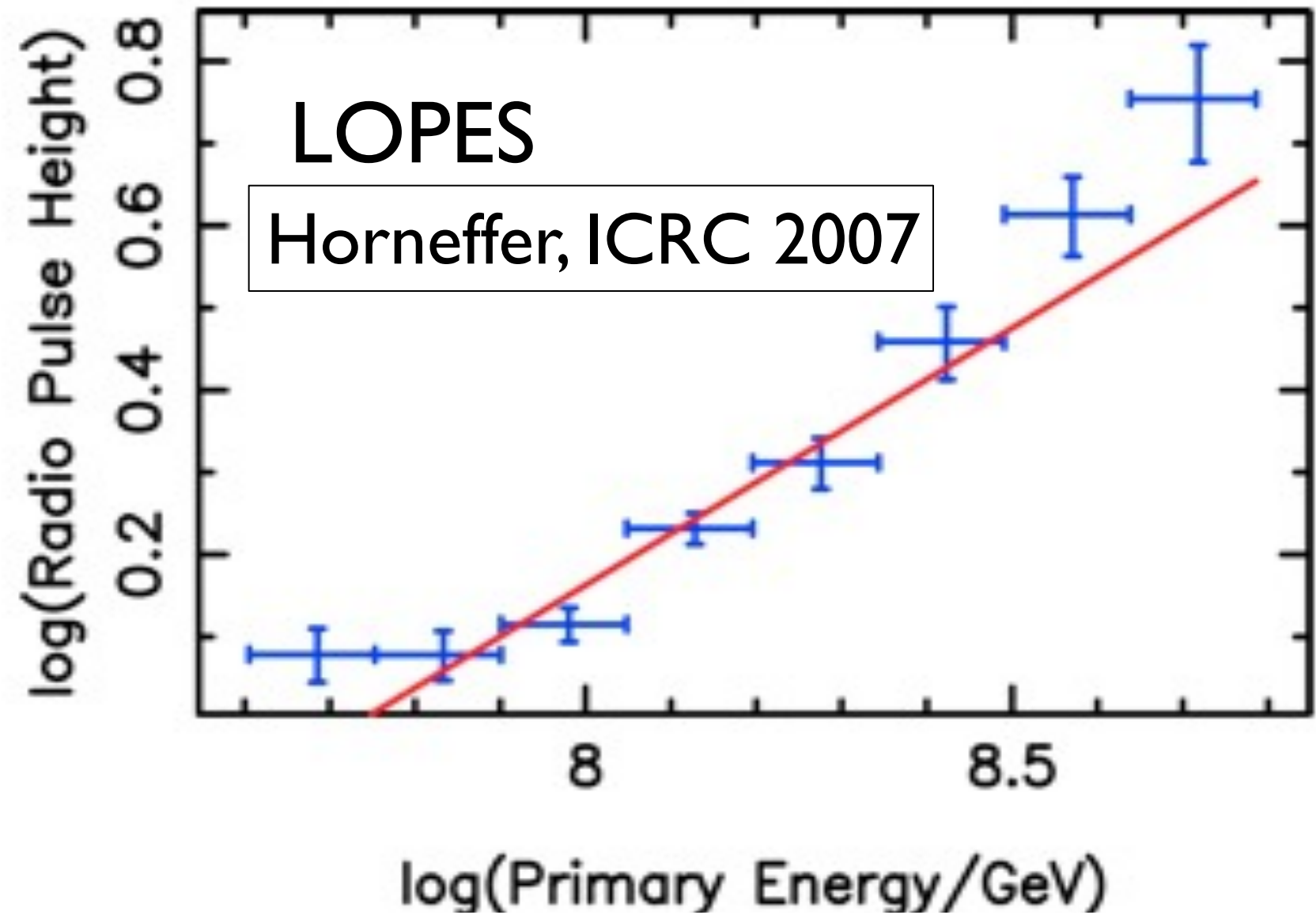


Sample showers 10^{17} eV
EW polarization on the ground
no simple pattern,
no cylindrical symmetry

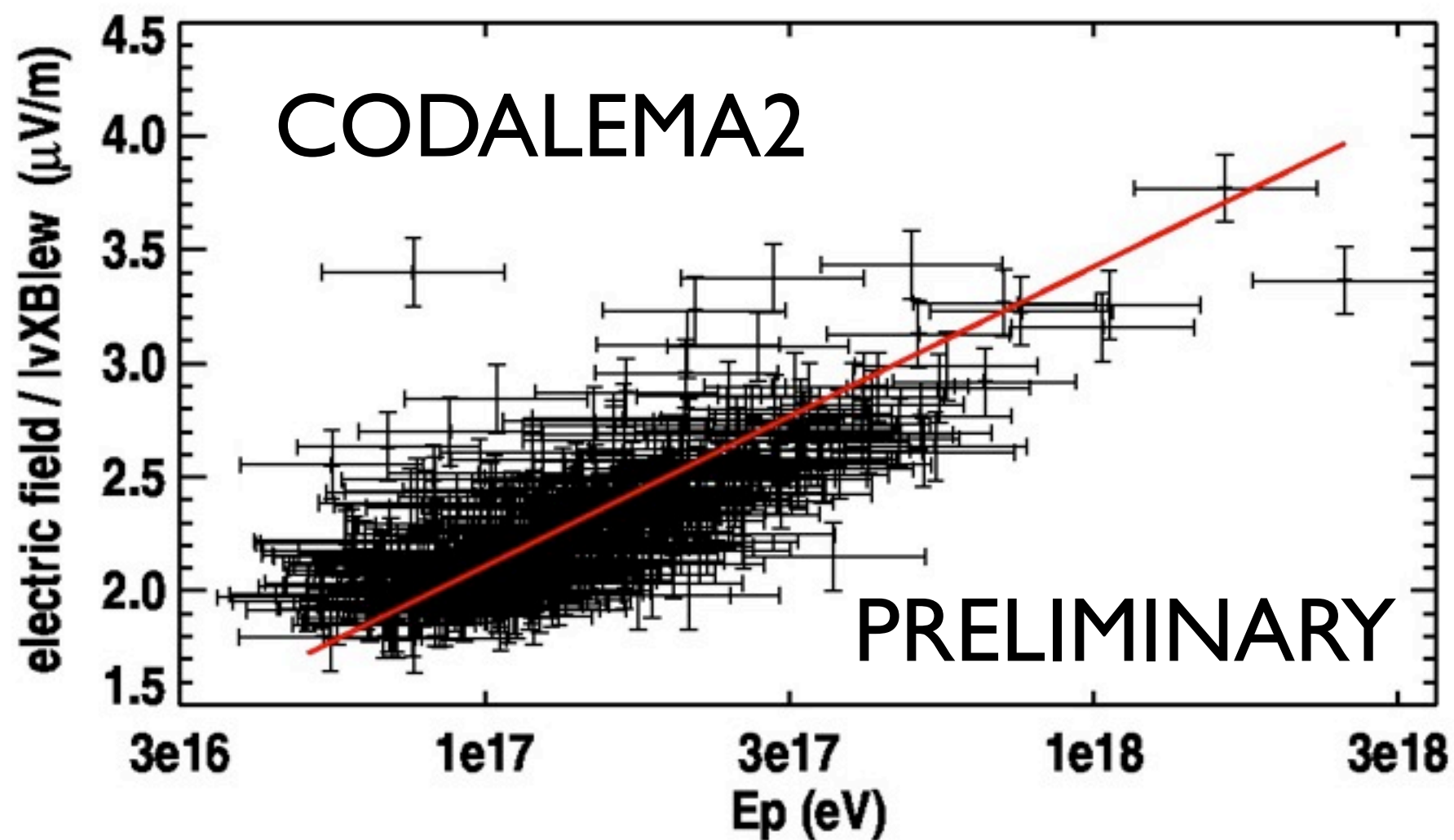
need a more complicated 2D-LDF
(mainly if you don't measure all
polarizations)

After a choice of the LDF, compute
the electric field at specific distance
(on-axis for instance) and search
for correlation with primary energy

Correlation electric field/primary energy



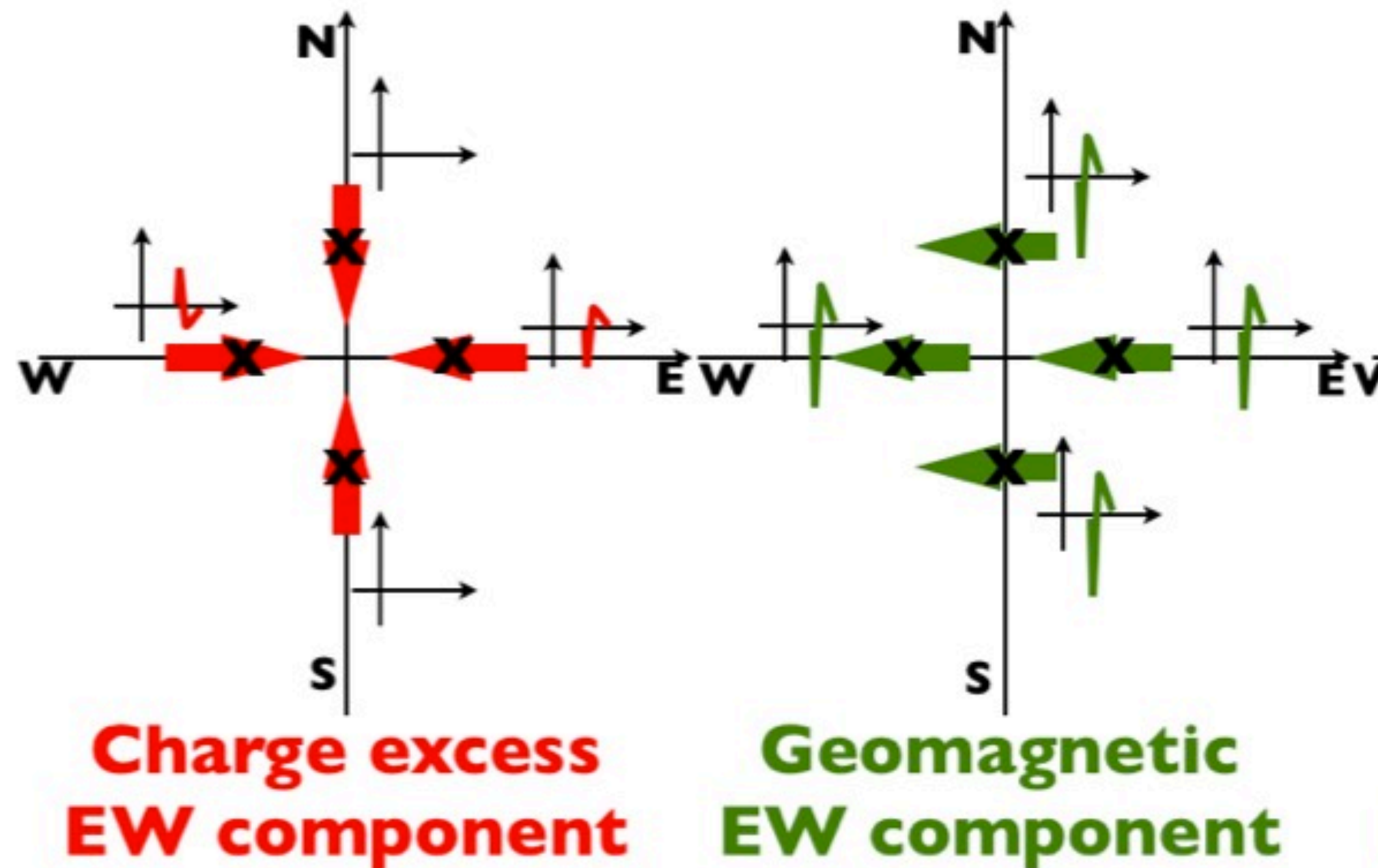
AERA
see talk from C. Glaser



- needs proper deconvolution of the antenna response
- needs reliable energy estimation (SD, FD)
- needs full study of systematic errors with their possible correlations

Emission mechanisms

$$\mathbf{E}_{tot}(\mathbf{x}, t) = \frac{1}{4\pi\epsilon_0} \left\{ \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i^2 (1 - \beta_i \cdot \mathbf{n}_i)} \right]_{ret} + \frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i (1 - \beta_i \cdot \mathbf{n}_i)} \right]_{ret} - \frac{1}{c^2} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{v}_i q_i(t_{ret})}{R_i (1 - \beta_i \cdot \mathbf{n}_i)} \right]_{ret} \right\}$$



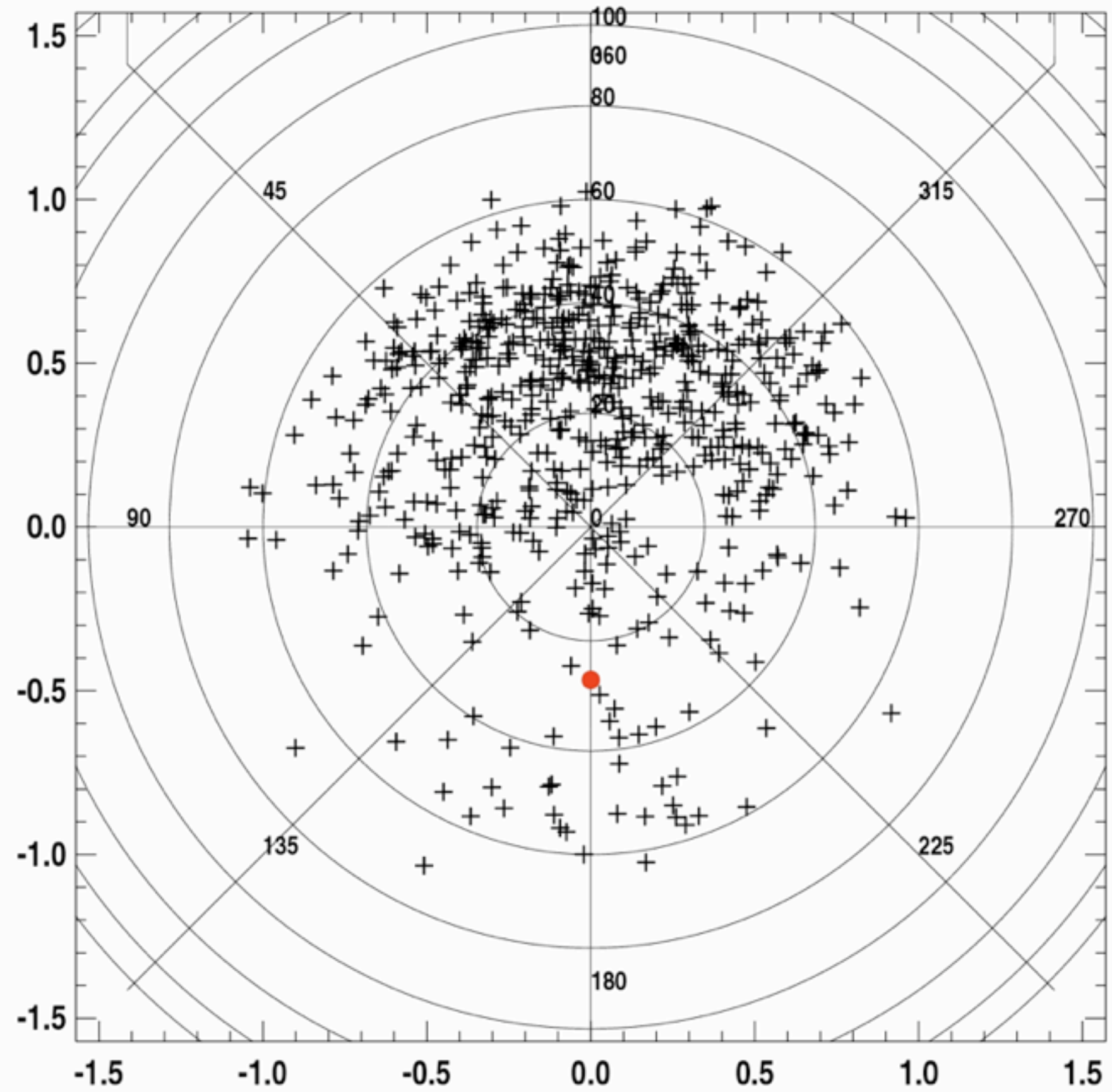
Two main mechanisms with two different polarization patterns!

The geomagnetic component is dominant

The charge-excess component is probably observed

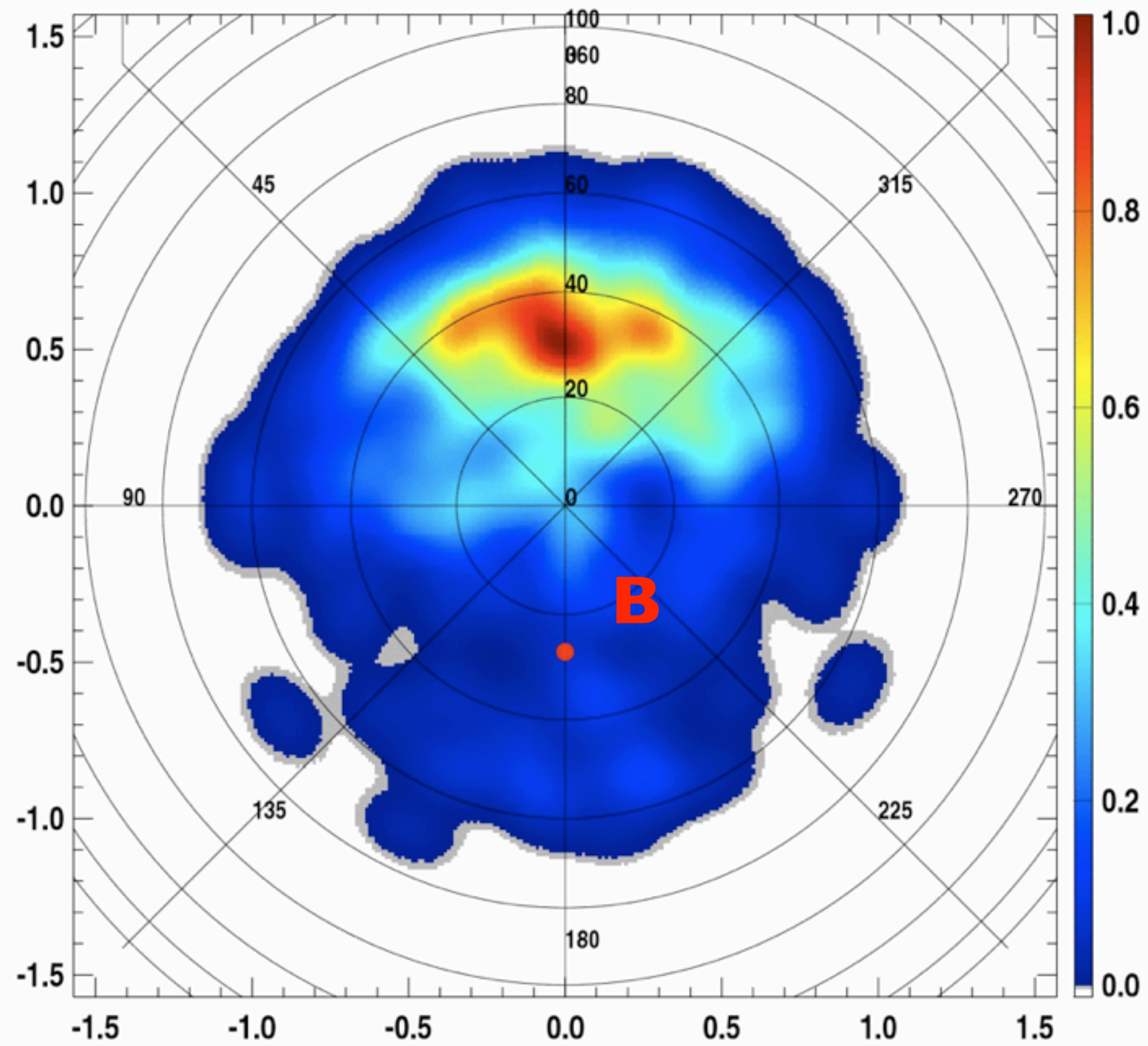
The geomagnetic component

CODALEMA2



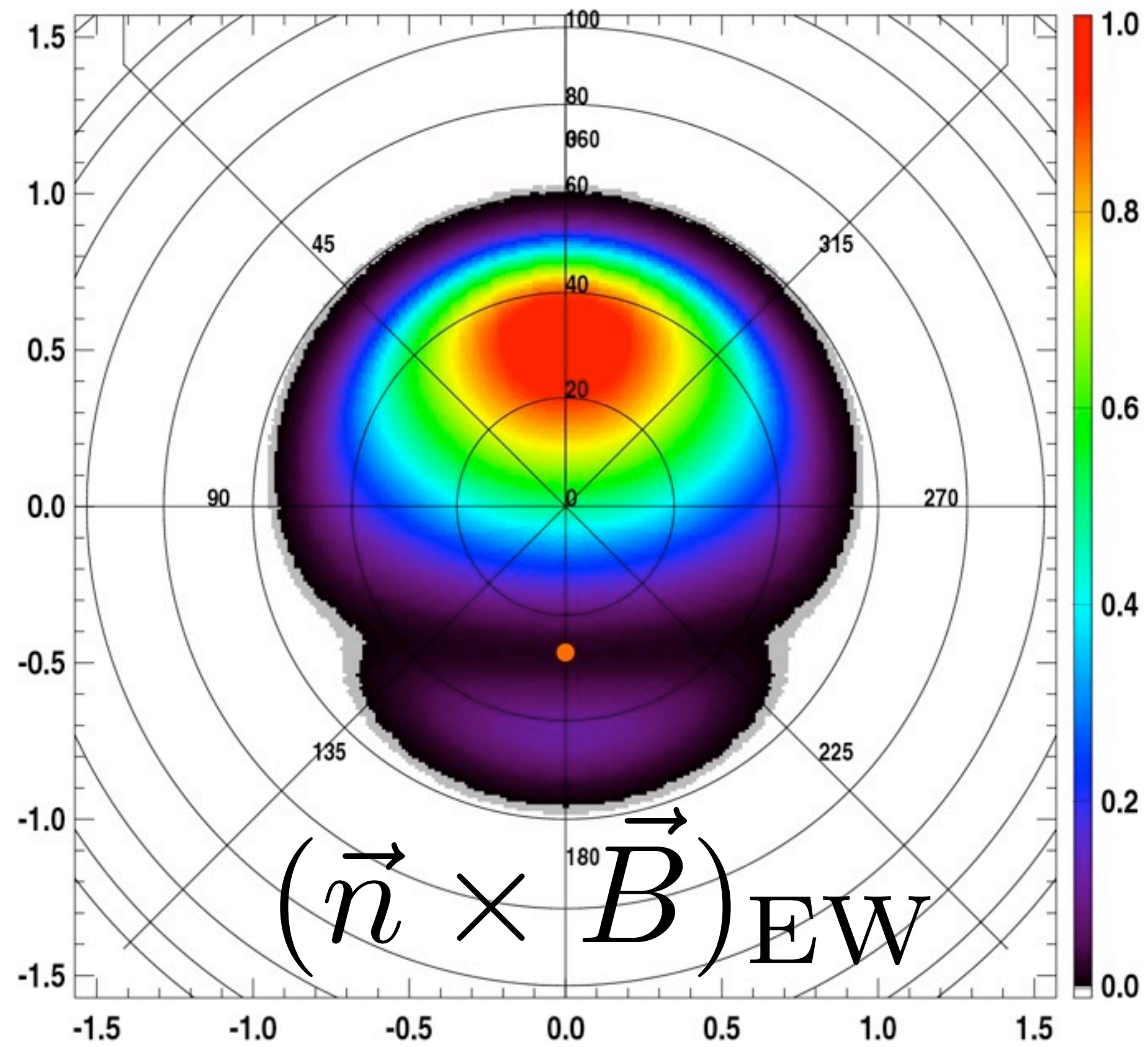
The geomagnetic component

CODALEMA2



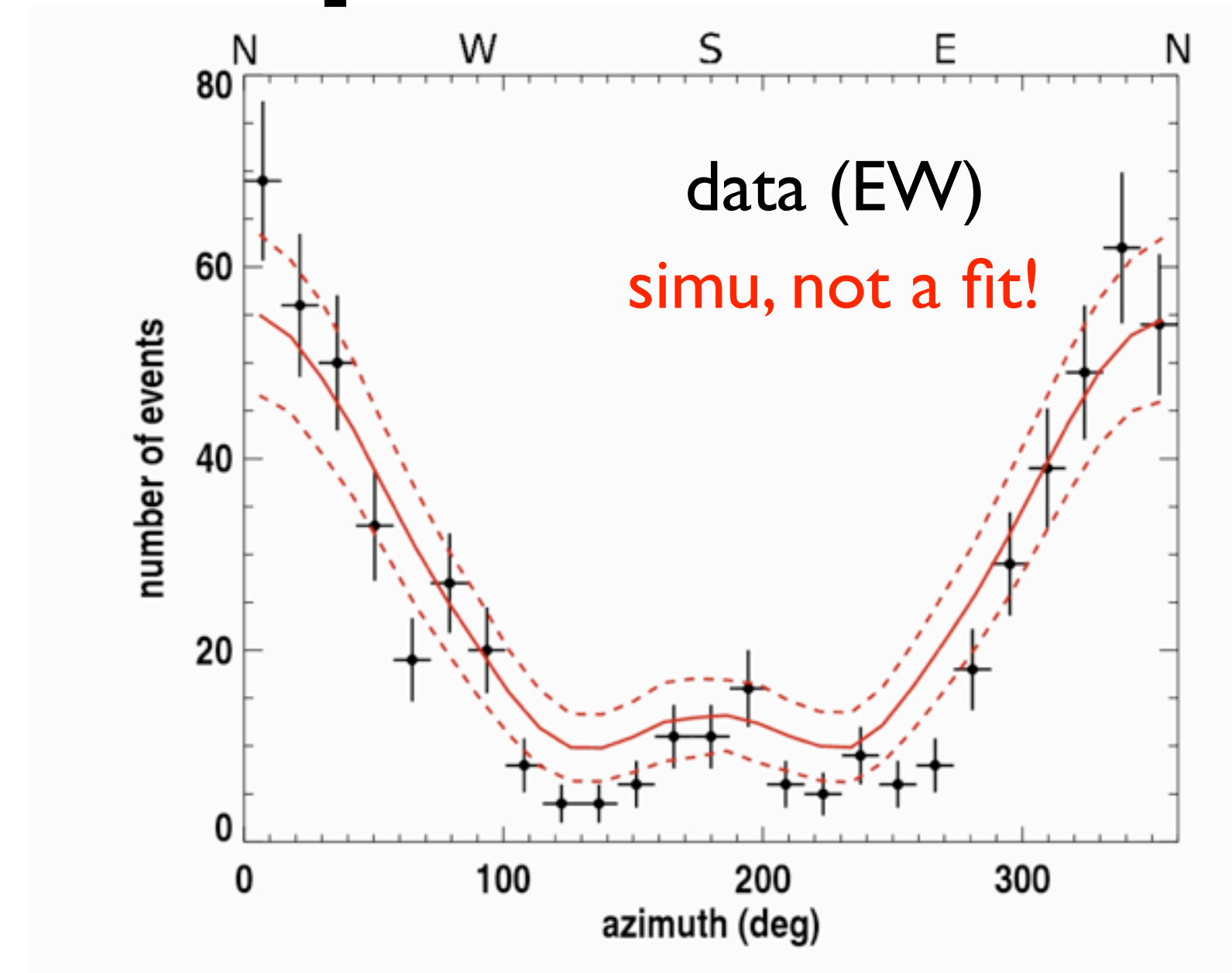
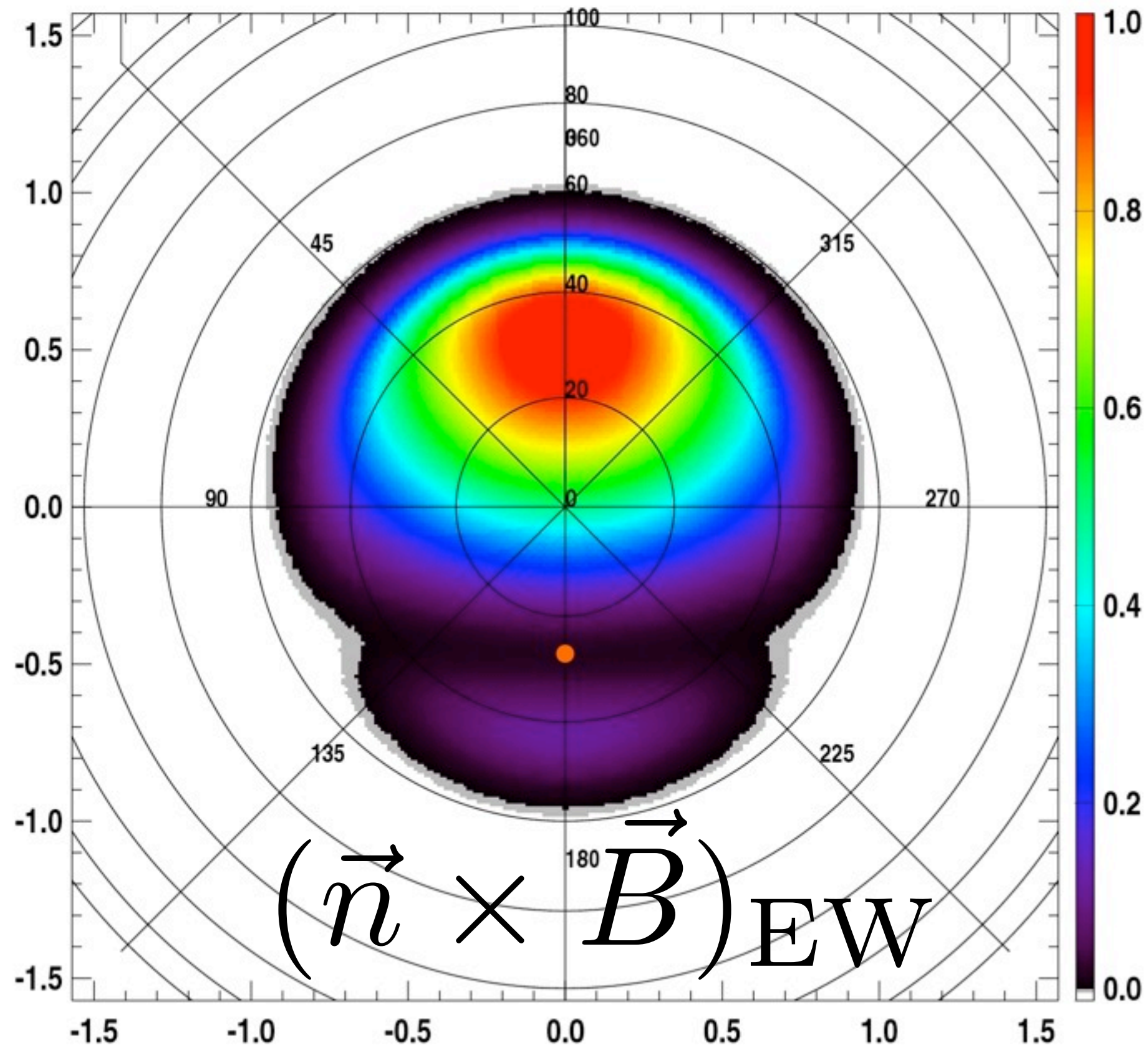
The geomagnetic component

CODALEMA2



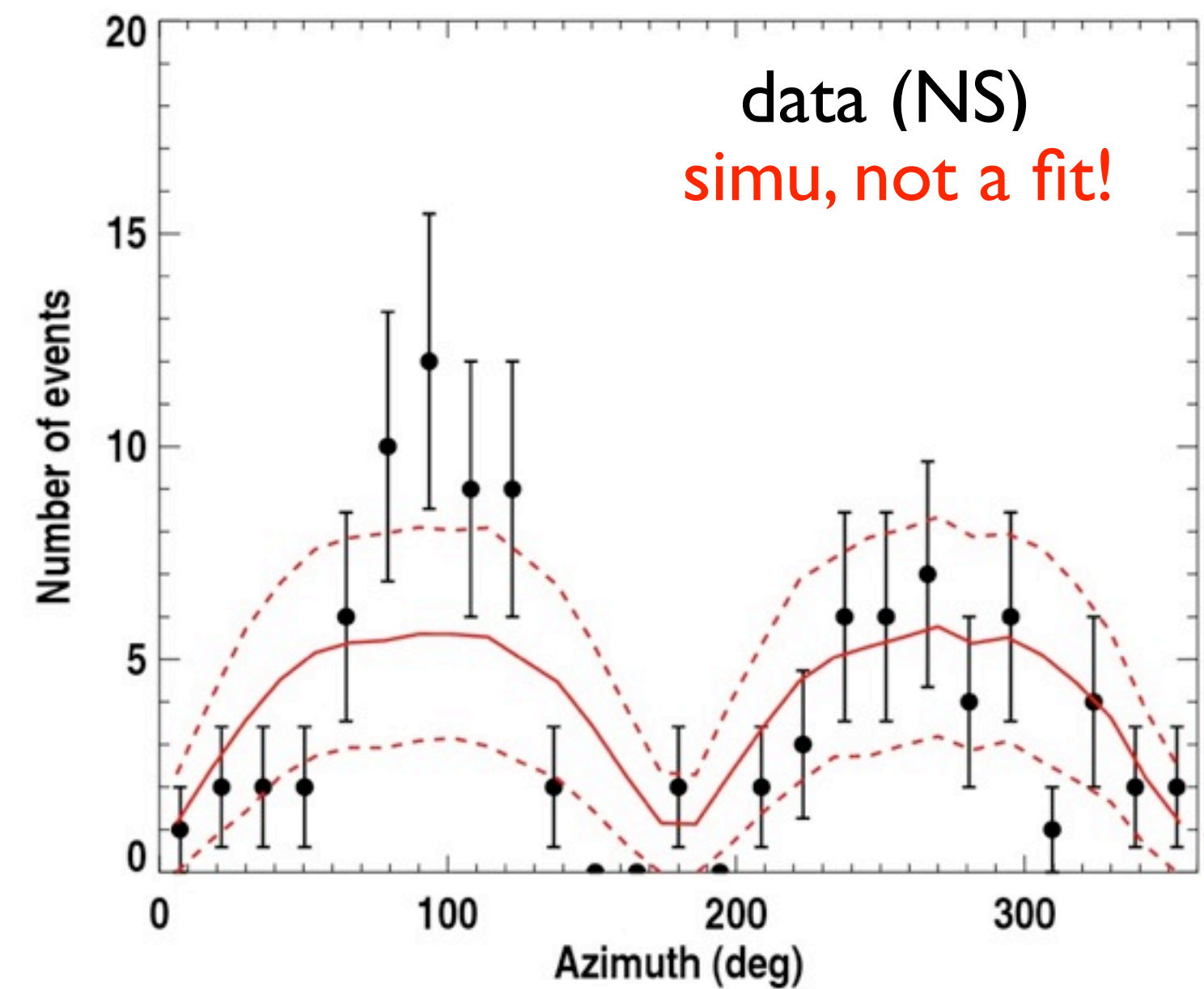
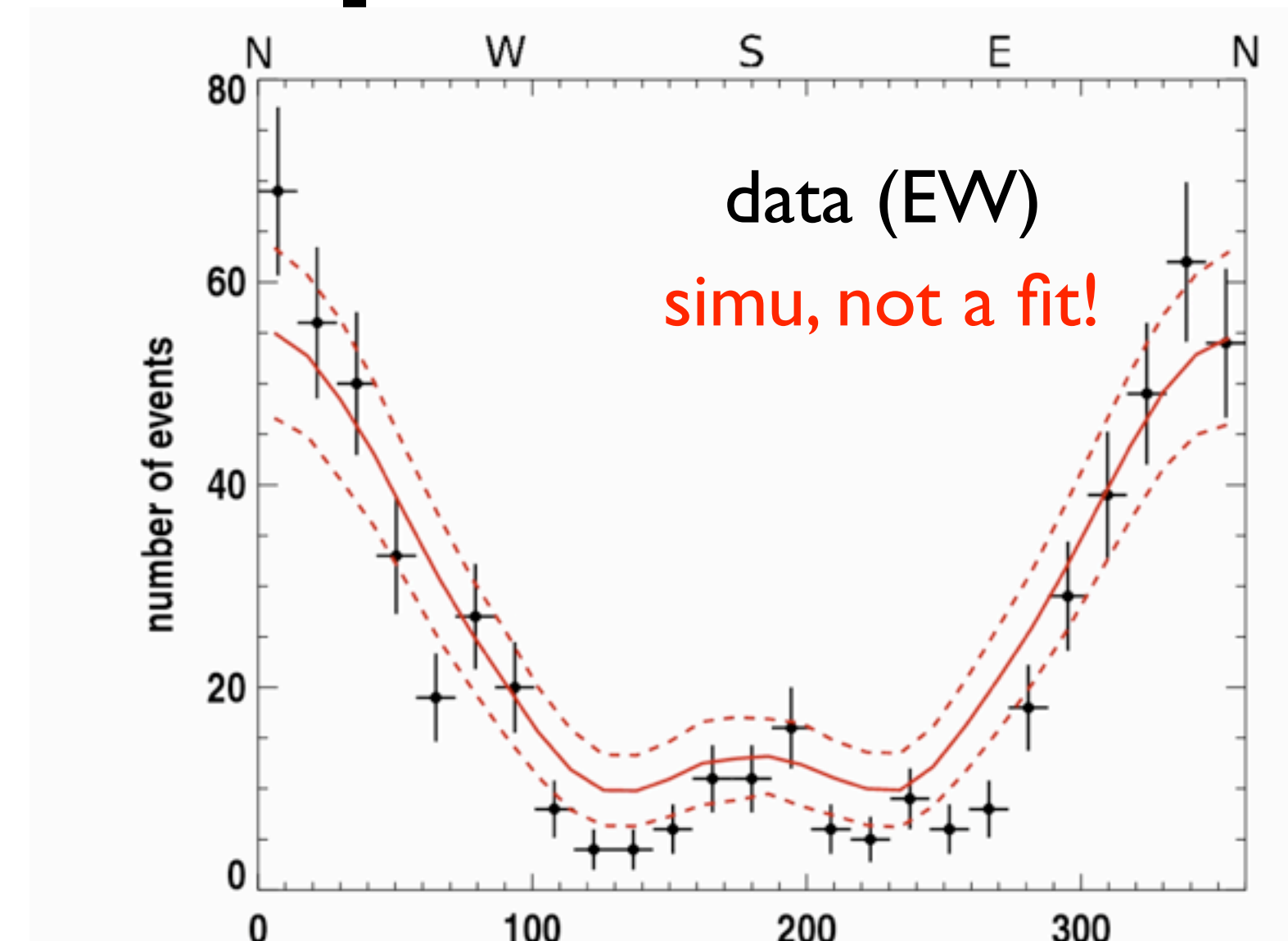
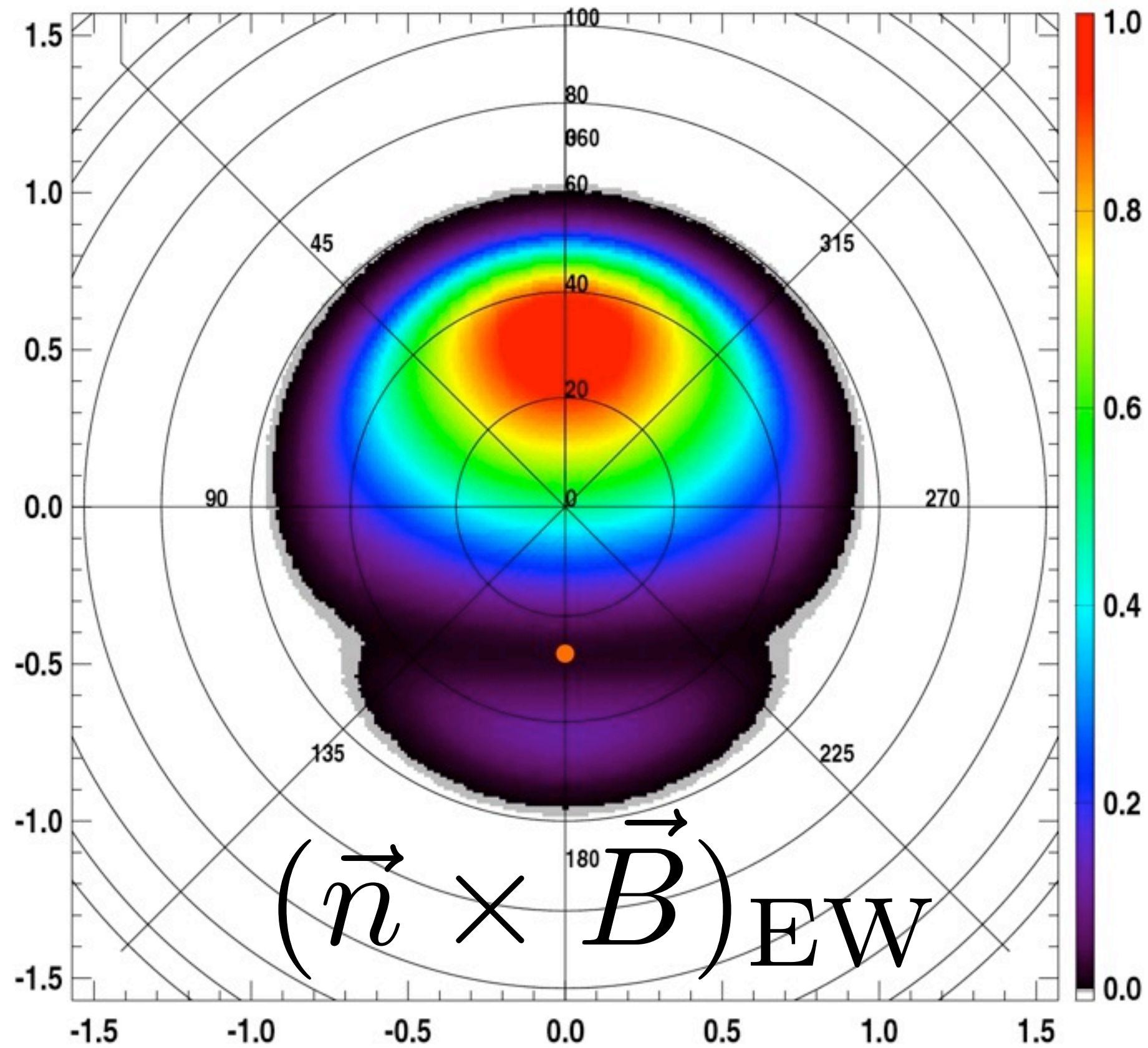
The geomagnetic component

CODALEMA2



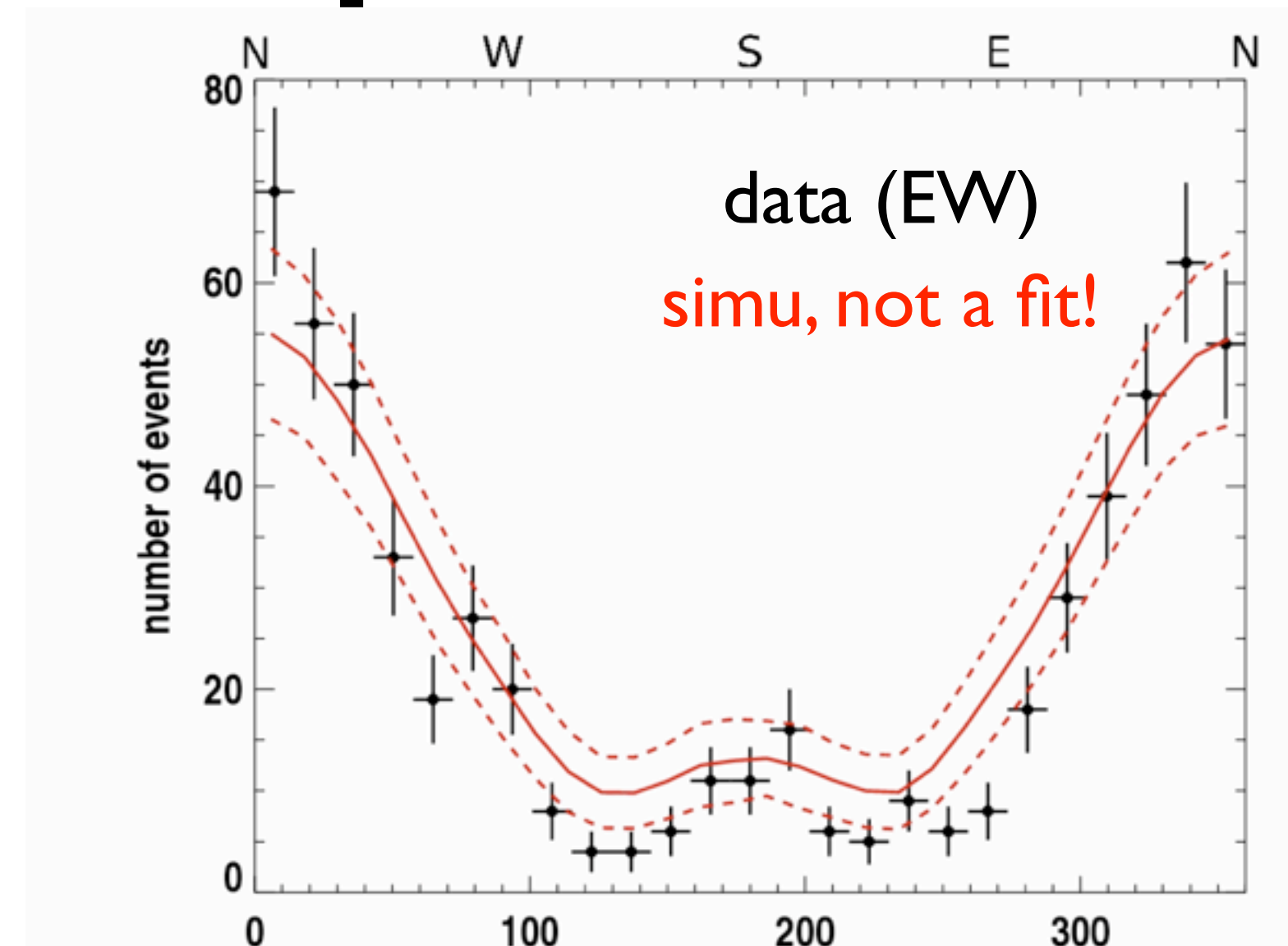
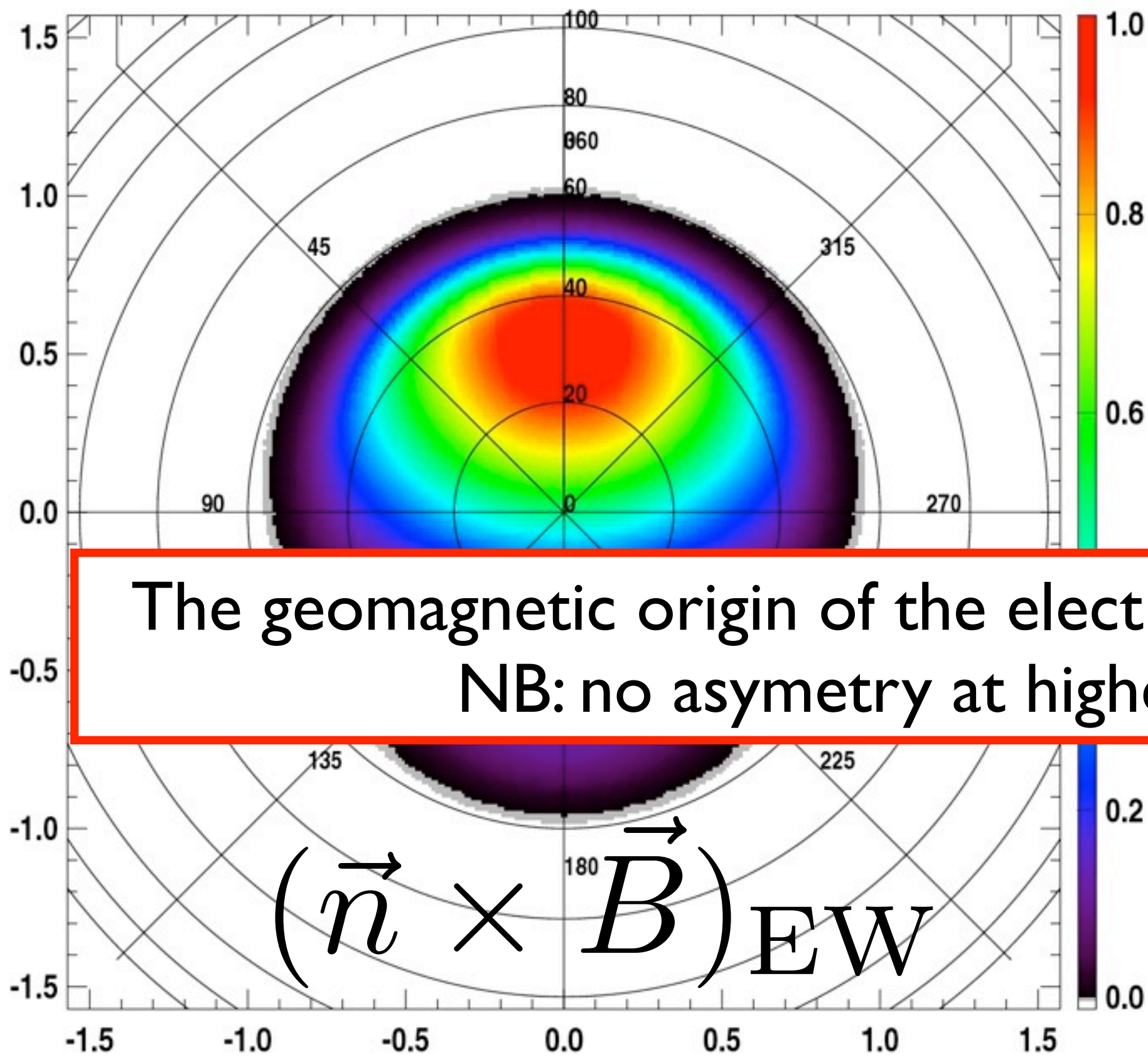
The geomagnetic component

CODALEMA2

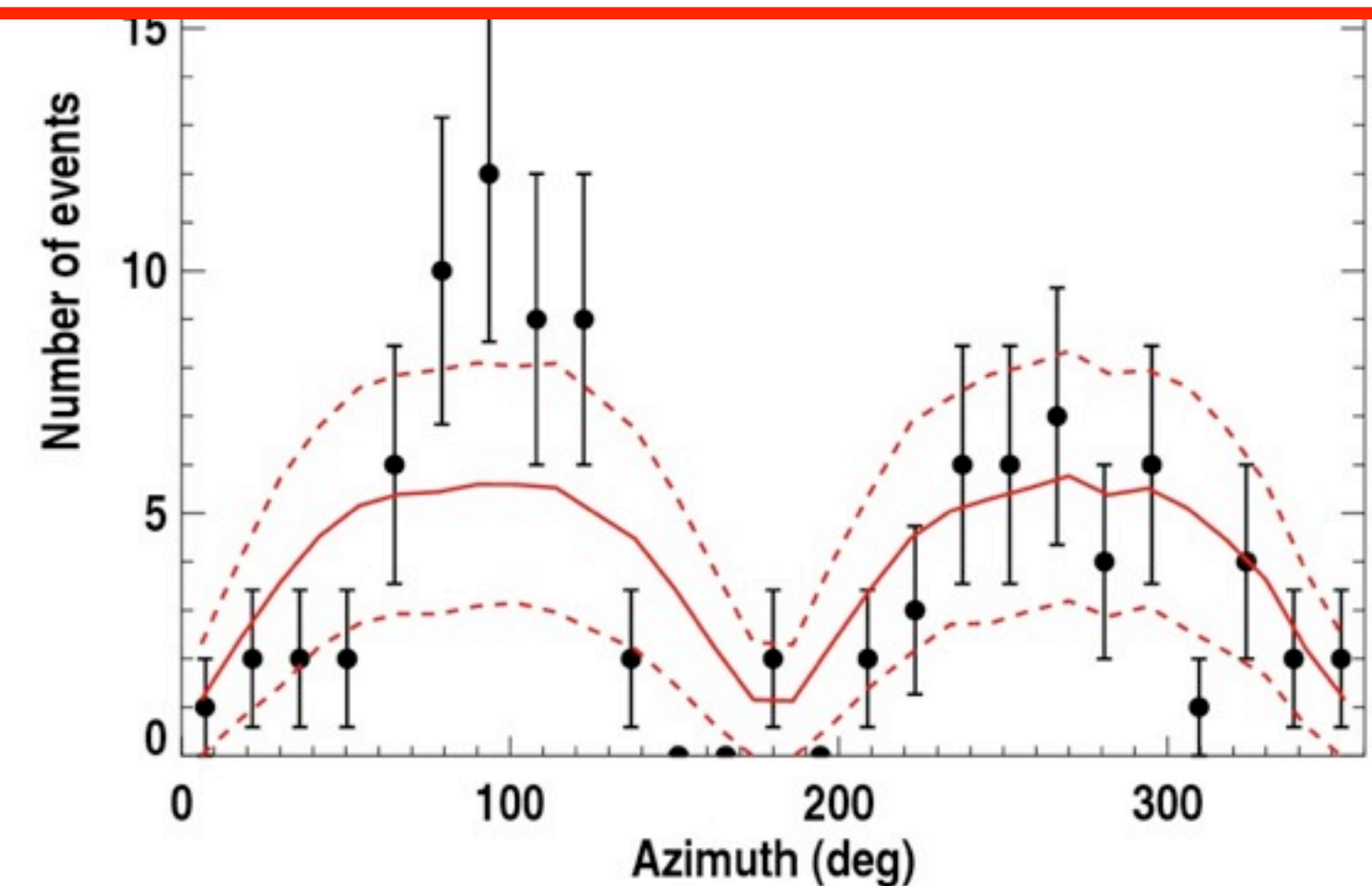


The geomagnetic component

CODALEMA2



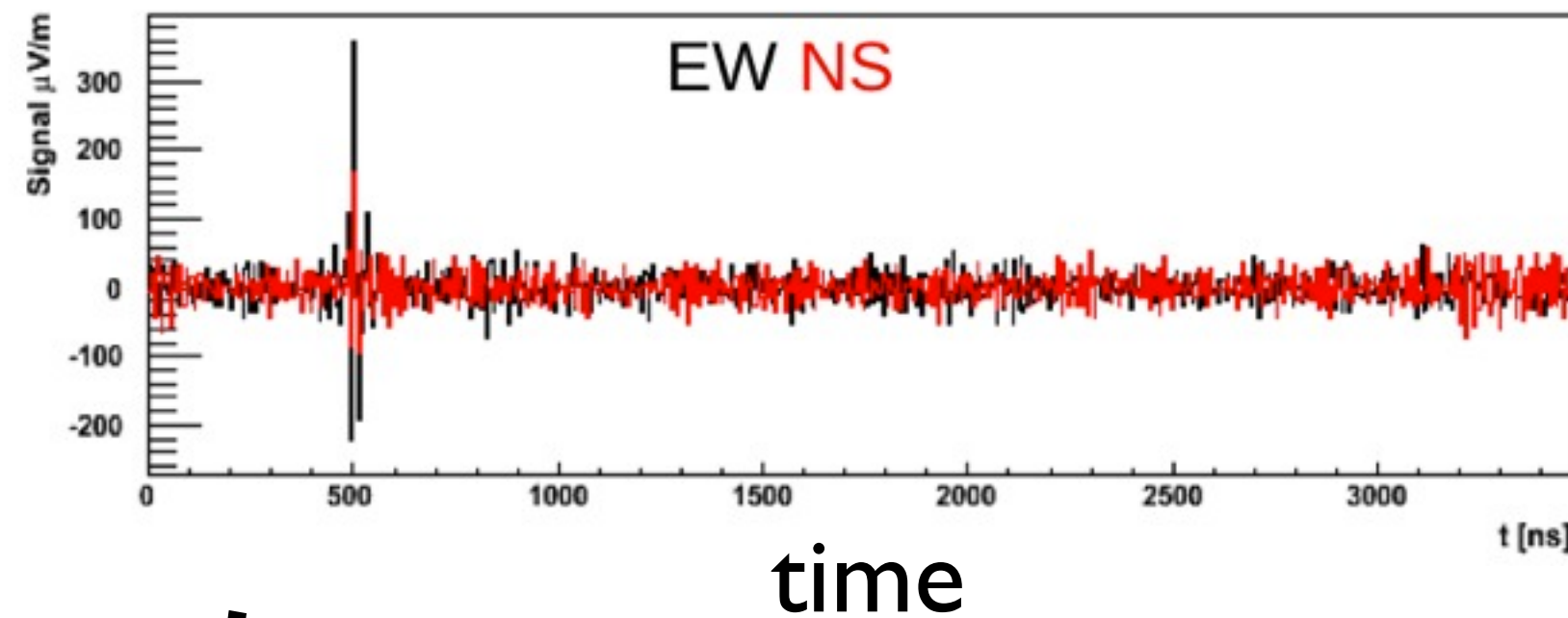
The geomagnetic origin of the electric field is well-established in both polarizations
NB: no asymmetry at higher energies, this is a threshold effect



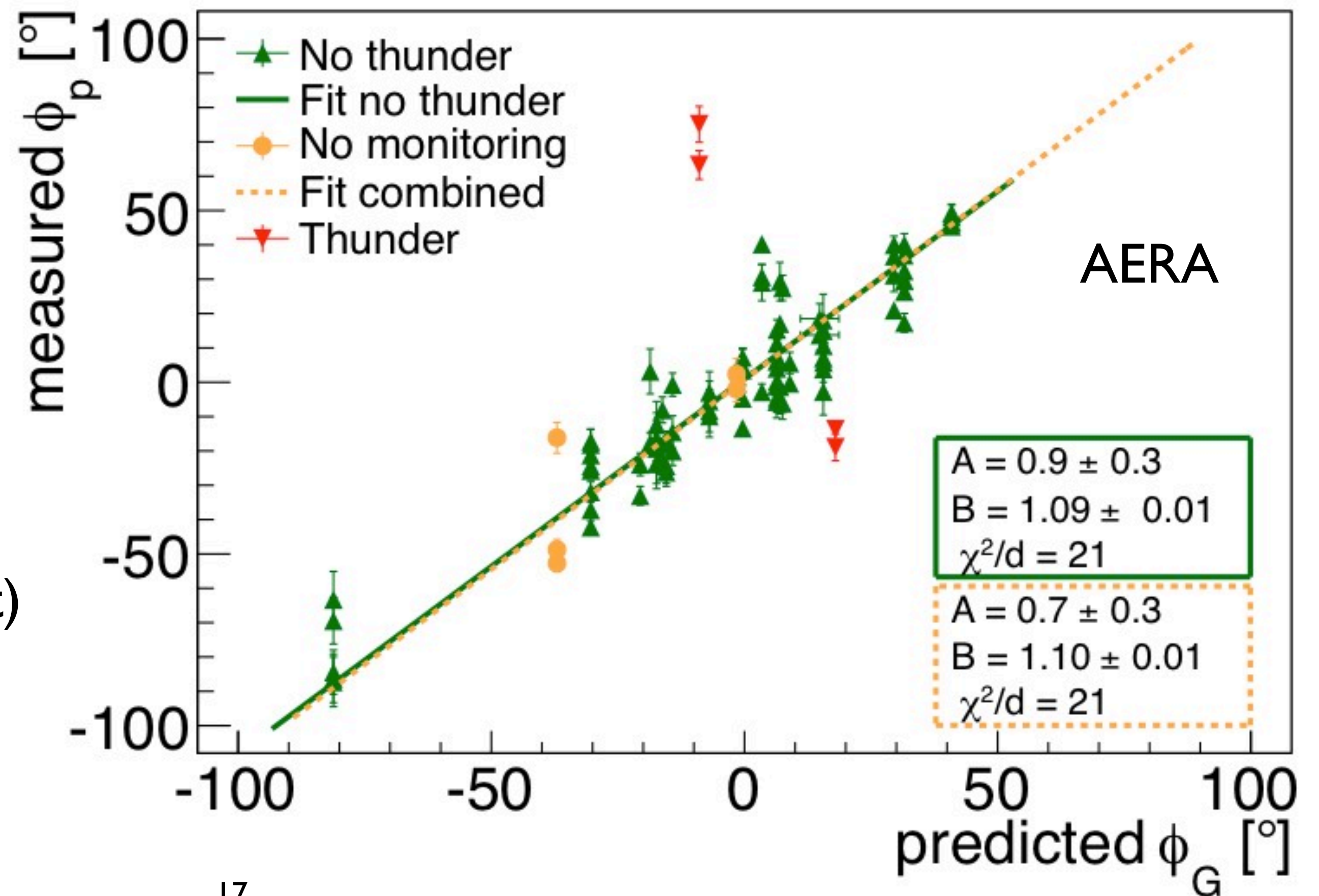
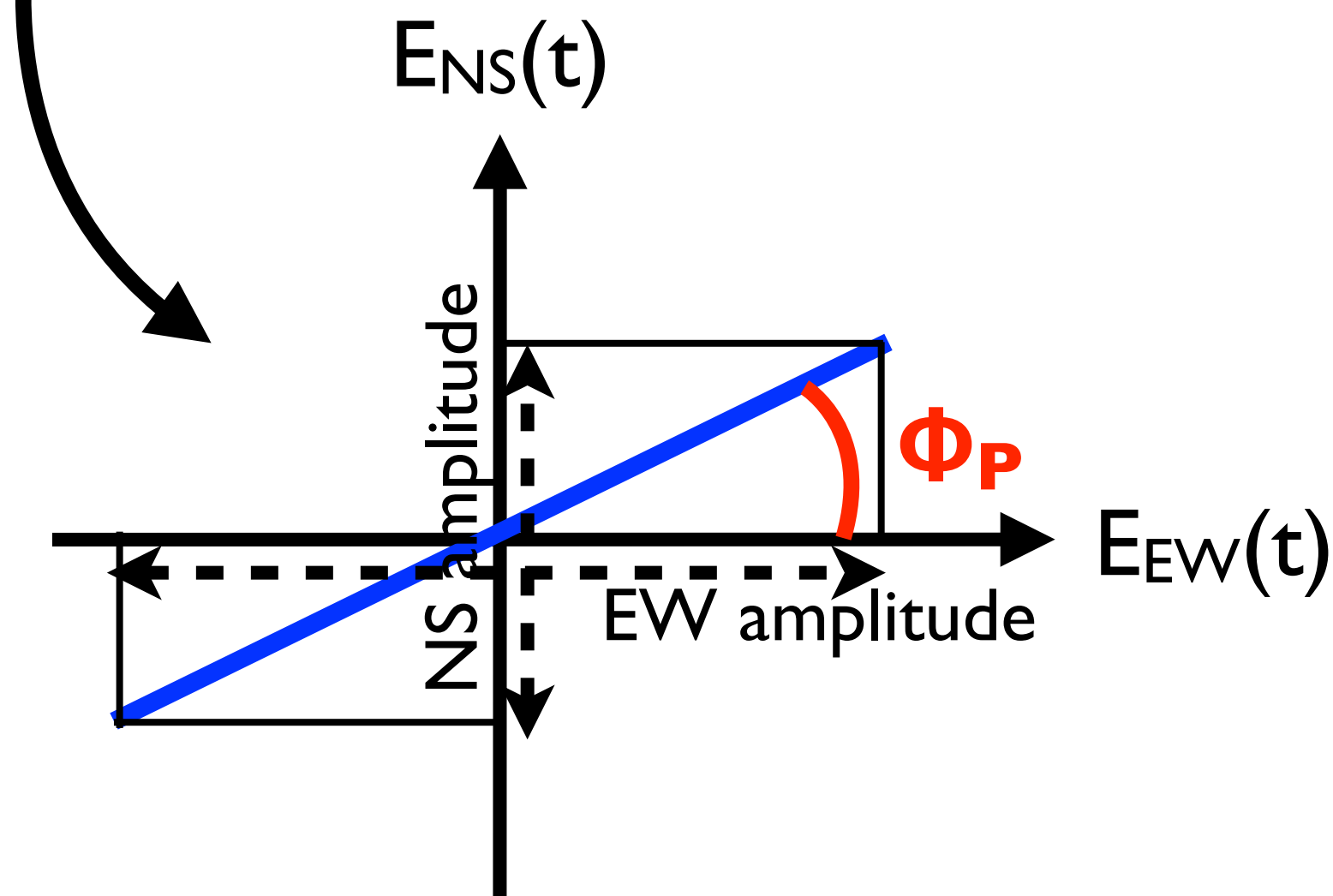
The geomagnetic component

measured polar. angle: $\phi(t_i) = \arctan(U(t_i)/Q(t_i))/2$

nXB polar. angle: $\phi_{\text{mag}} = \arctan((\vec{n} \times \vec{B})_{\text{NS}}/(\vec{n} \times \vec{B})_{\text{EW}})$

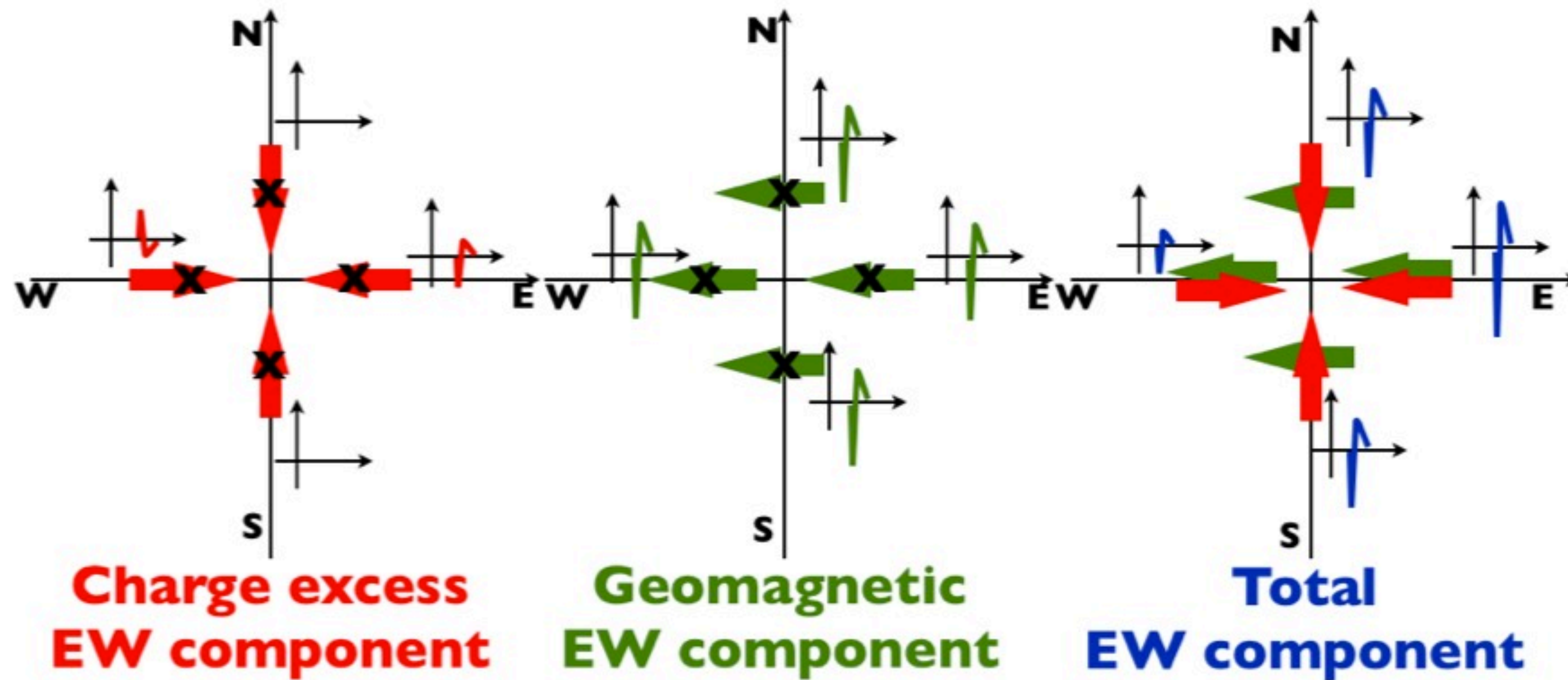


Schoorlemmer, ICTAPP 2011



The charge-excess component

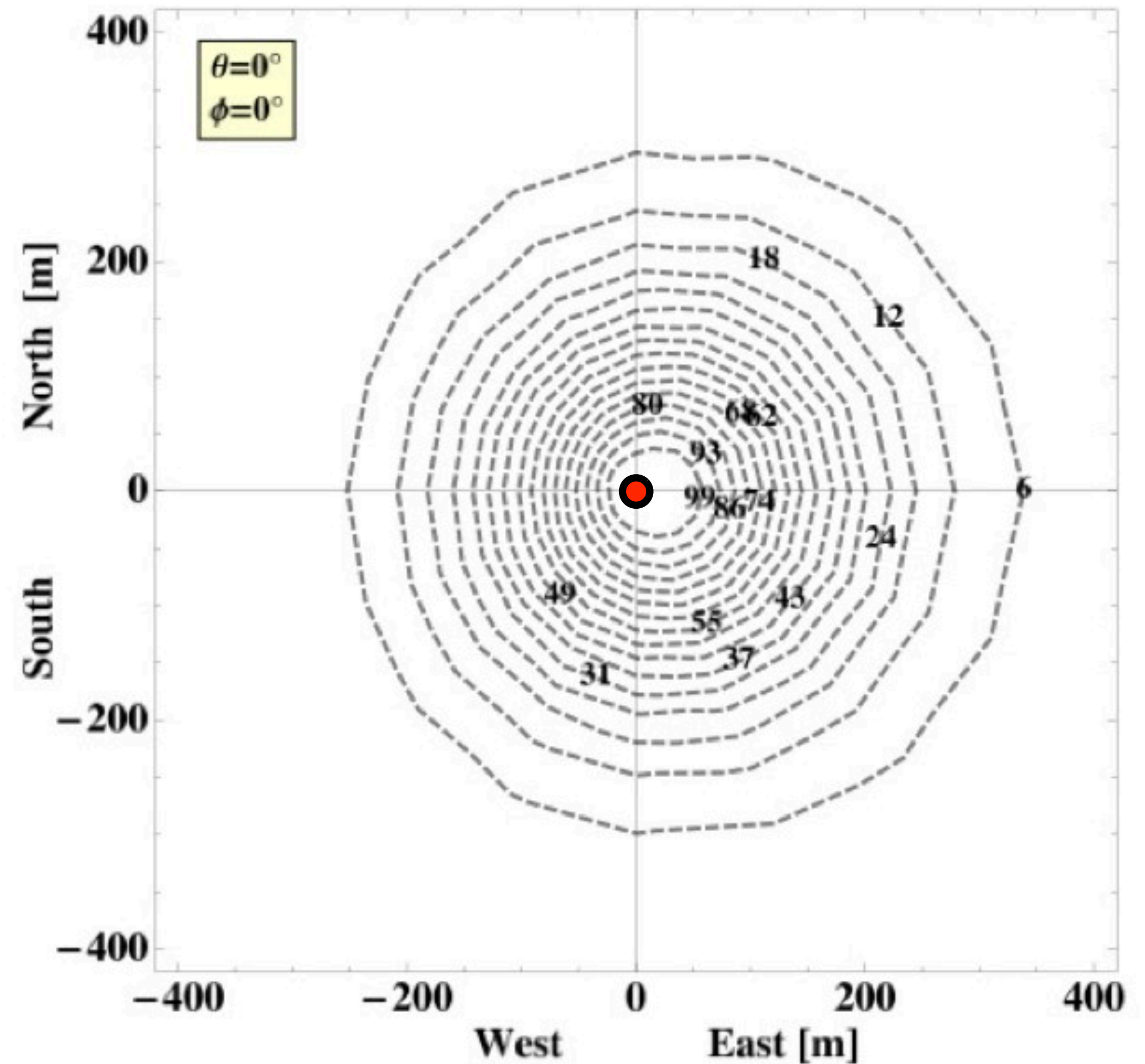
Secondary effect: example of a vertical shower



The charge-excess component

Secondary effect: example of a vertical shower

$$\frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i(1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret}$$

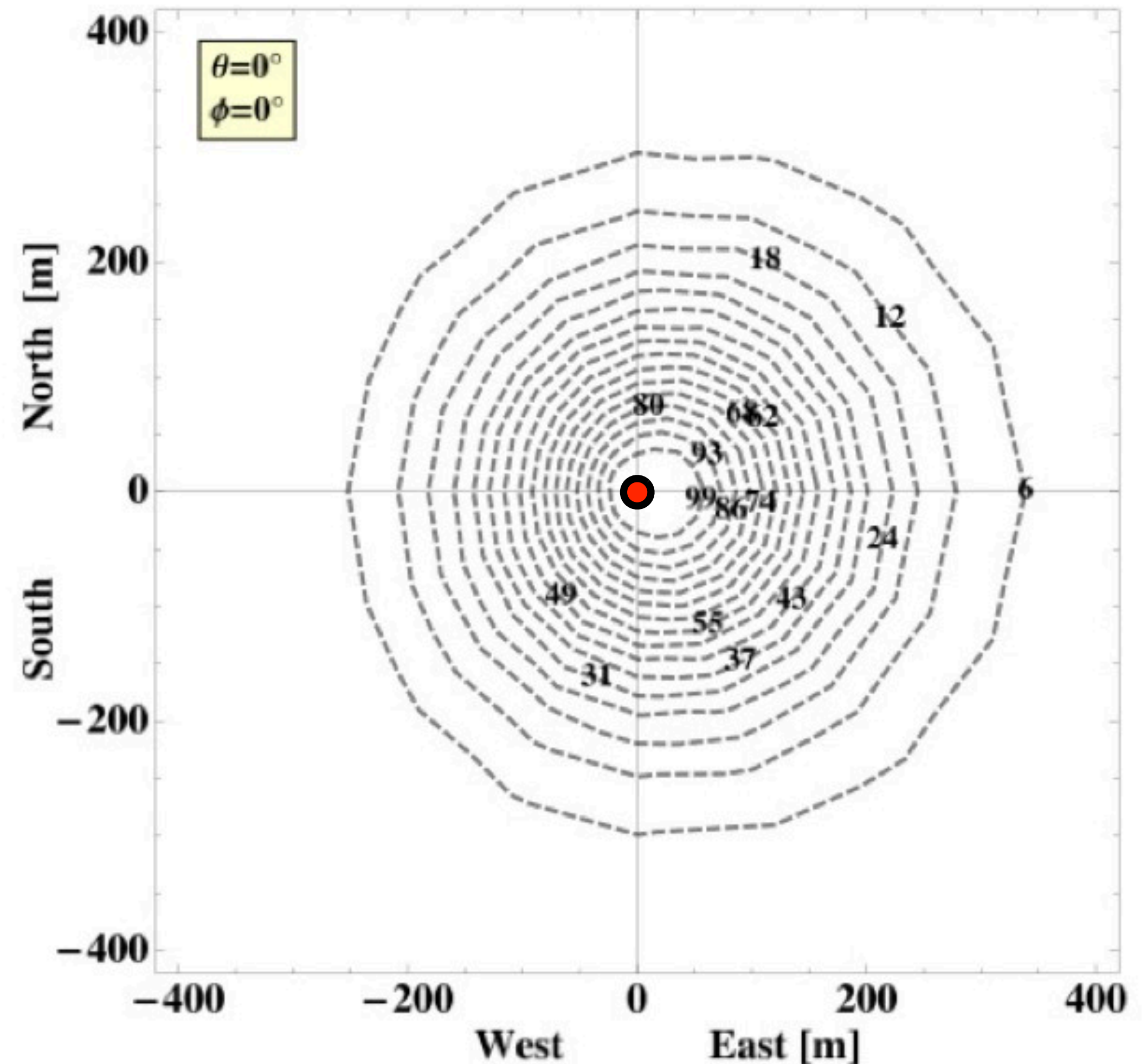


The charge-excess component

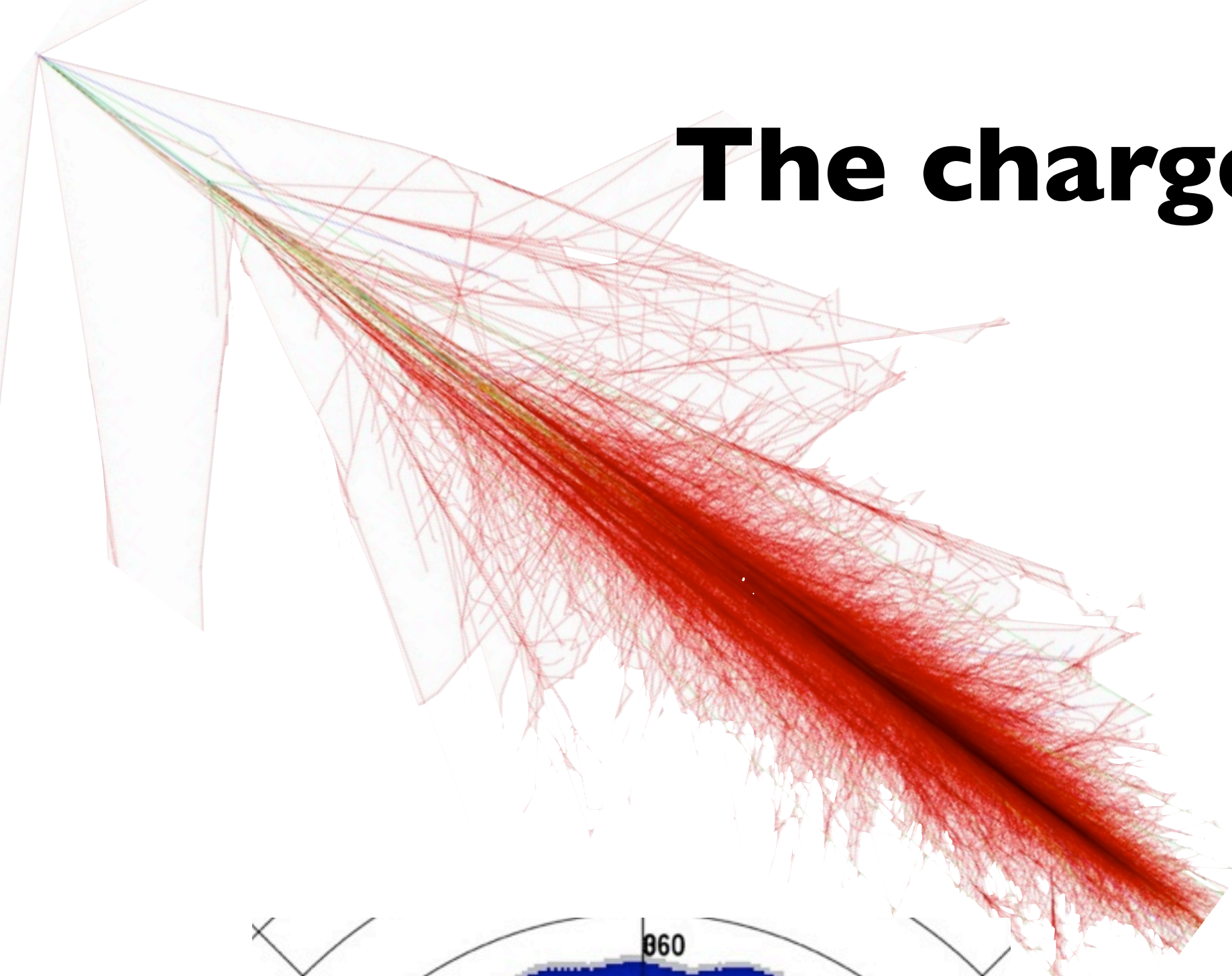
Secondary effect: example of a vertical shower

$$\frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i(1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret}$$

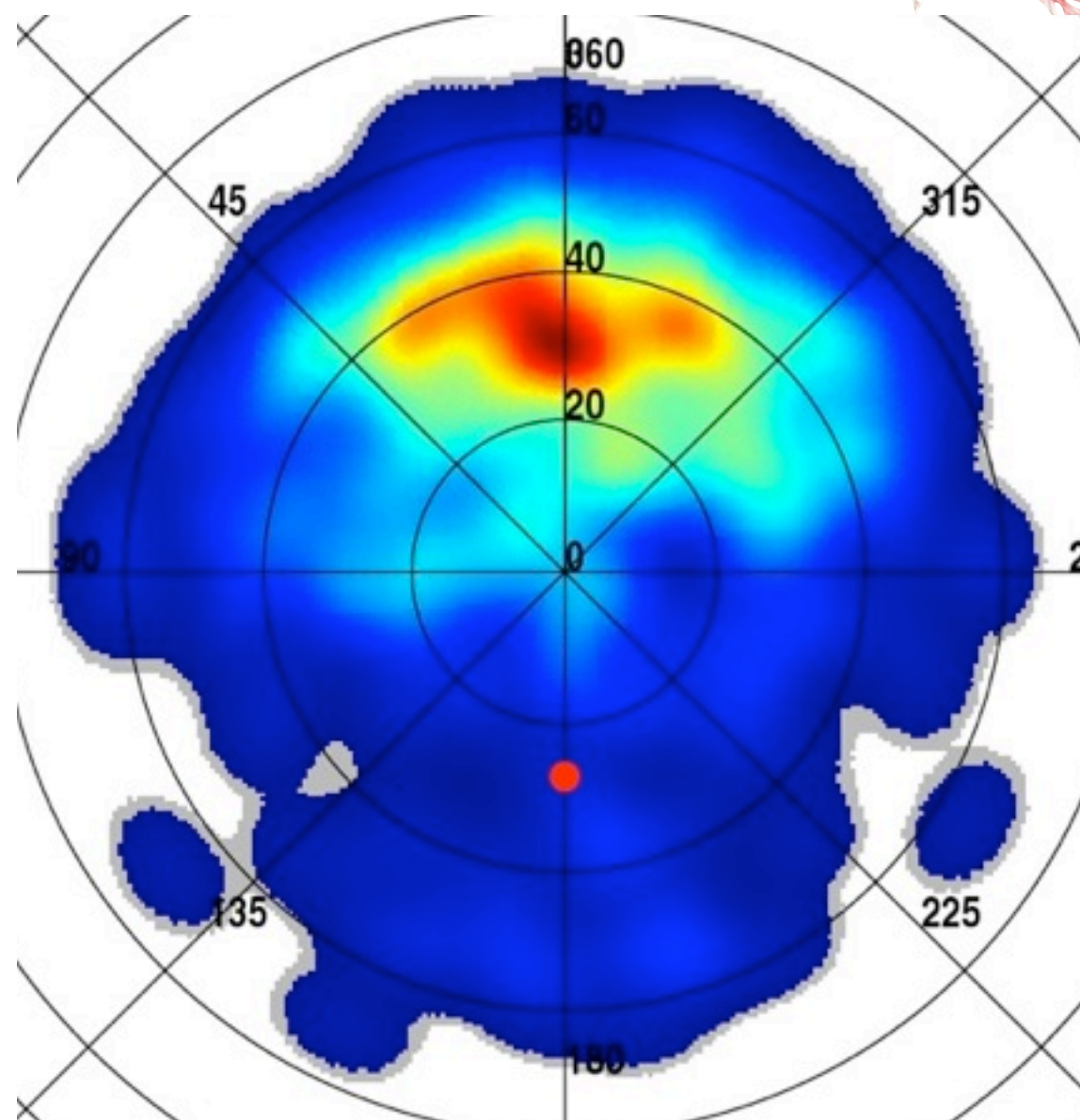
The EW-electric field profile is shifted to the east wrt the particle shower core signature in the data ?



The charge-excess component

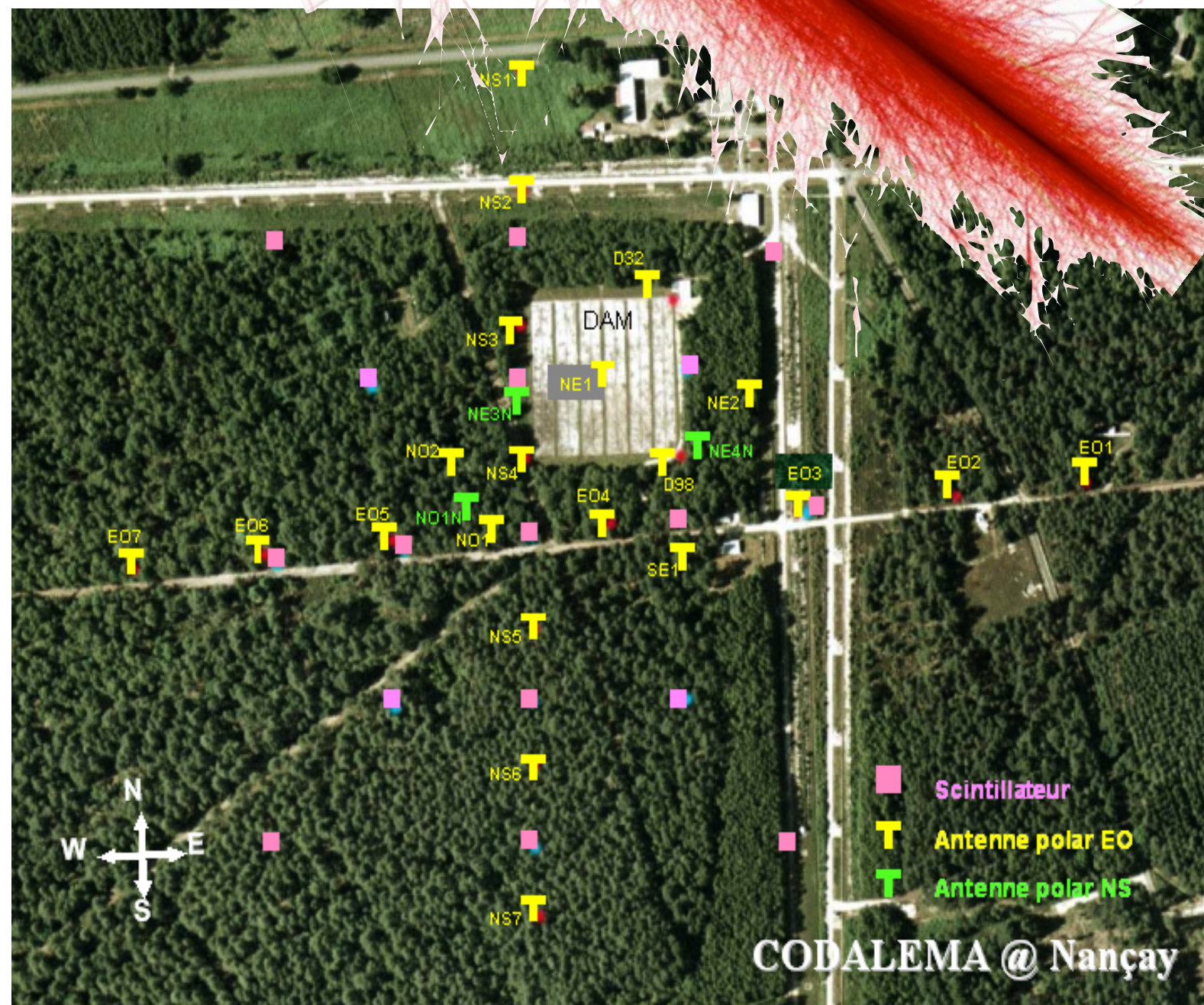


- 1) simulate N showers following the observed distribution (skymap and particle core positions)

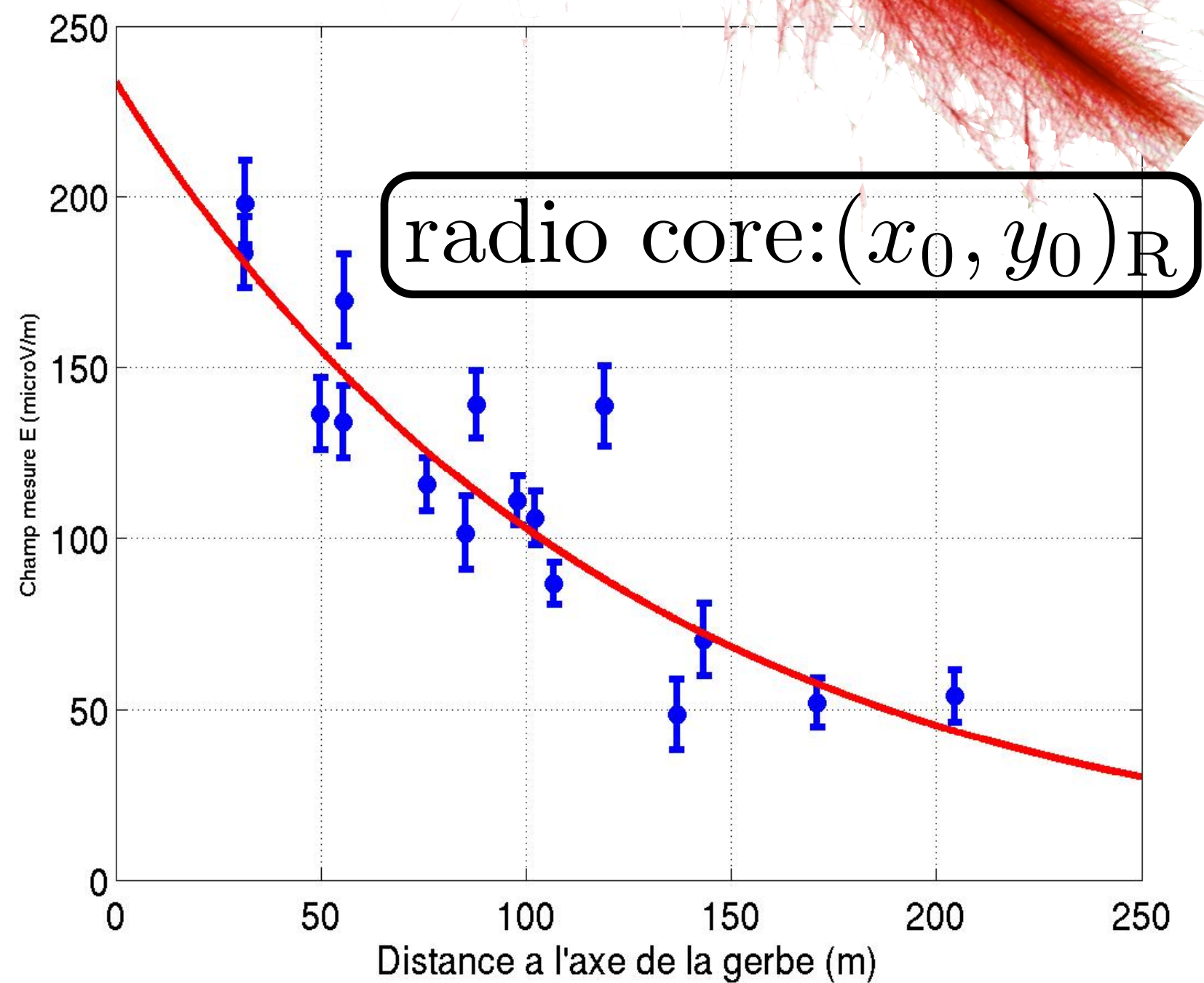


The charge-excess component

- 1) simulate N showers following the observed distribution (skymap and particle core positions)
- 2) compute the electric field for each antenna, at the same positions than the CODALEMA array (EW)

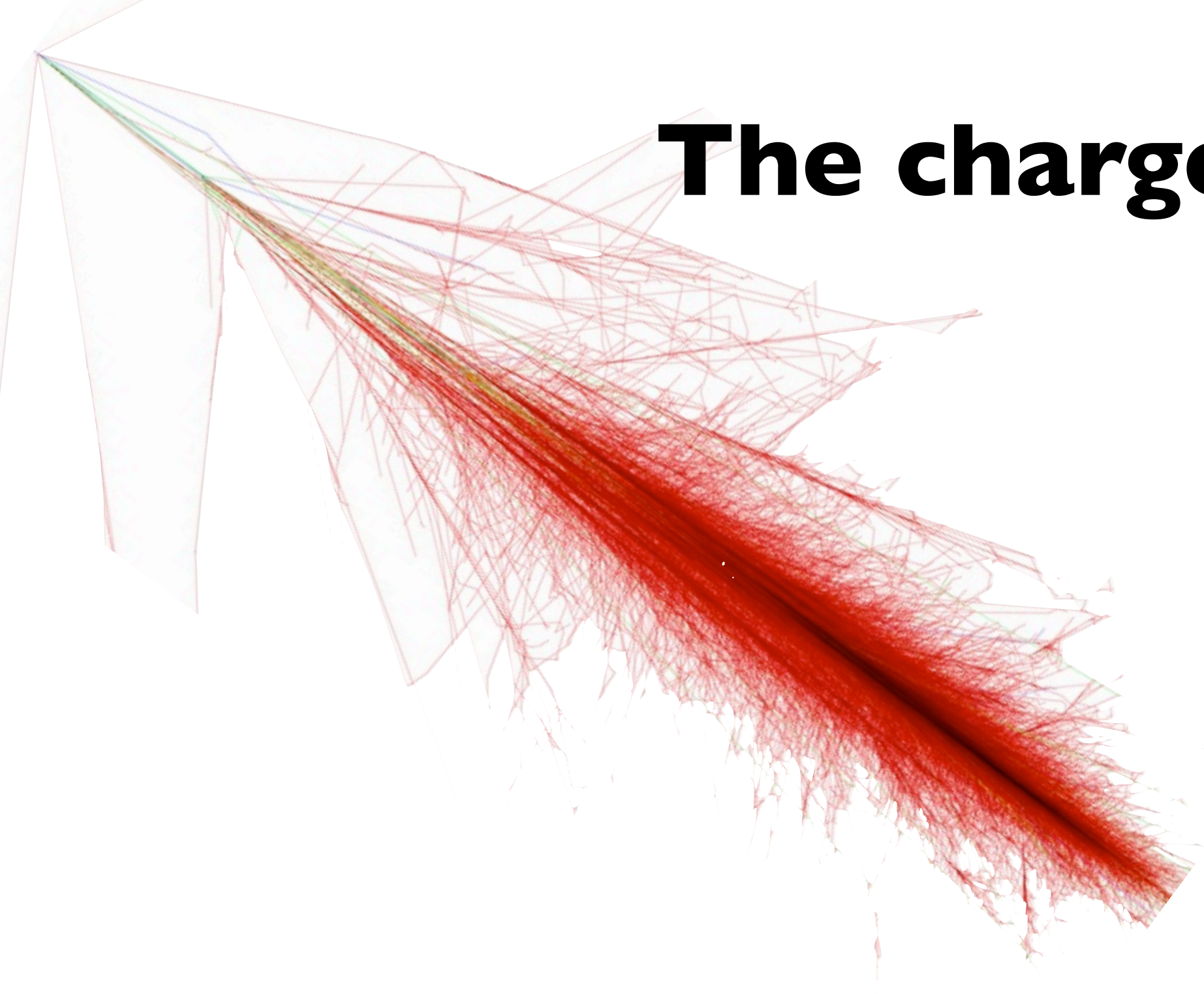


The charge-excess component



- 1) simulate N showers following the observed distribution (skymap and particle core positions)
- 2) compute the electric field for each antenna, at the same positions than the CODALEMA array (EW)
- 3) compute the radio core position using an exponential profile

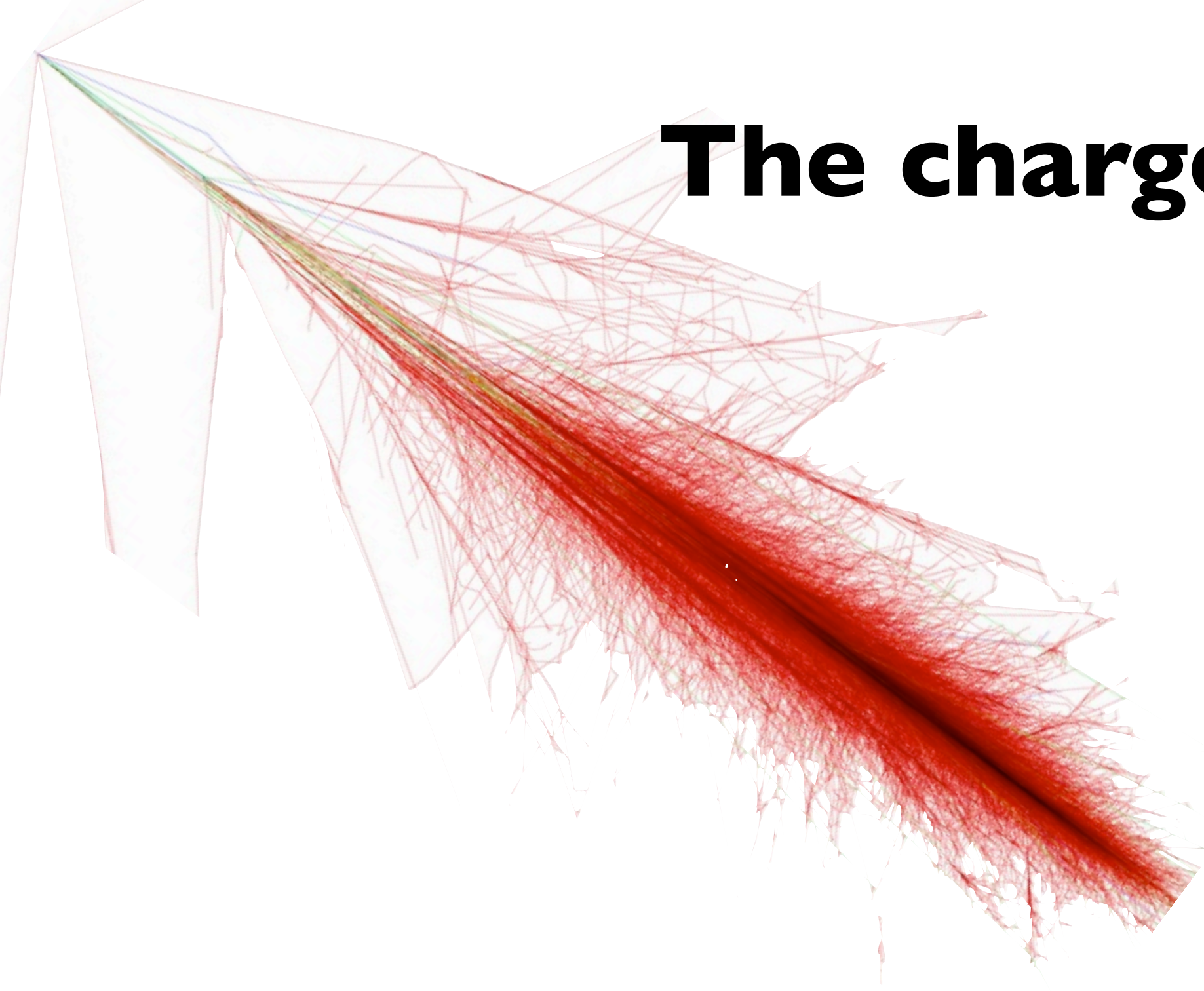
The charge-excess component



- 1) simulate N showers following the observed distribution (skymap and particle core positions)
- 2) compute the electric field for each antenna, at the same positions than the CODALEMA array (EW)
- 3) compute the radio core position using an exponential profile
- 4) study the relative position of the radio core position wrt the particle core position

$$\delta \vec{R}_{\text{core}} = (x_0, y_0)_{\text{R}} - (x_0, y_0)_{\text{S}}$$

The charge-excess component



- 1) simulate N showers following the observed distribution (skymap and particle core positions)
- 2) compute the electric field for each antenna, at the same positions than the CODALEMA array (EW)
- 3) compute the radio core position using an exponential profile
- 4) study the relative position of the radio core position wrt the particle core position
- 5) do it once with charge excess, once without charge excess in the simulation

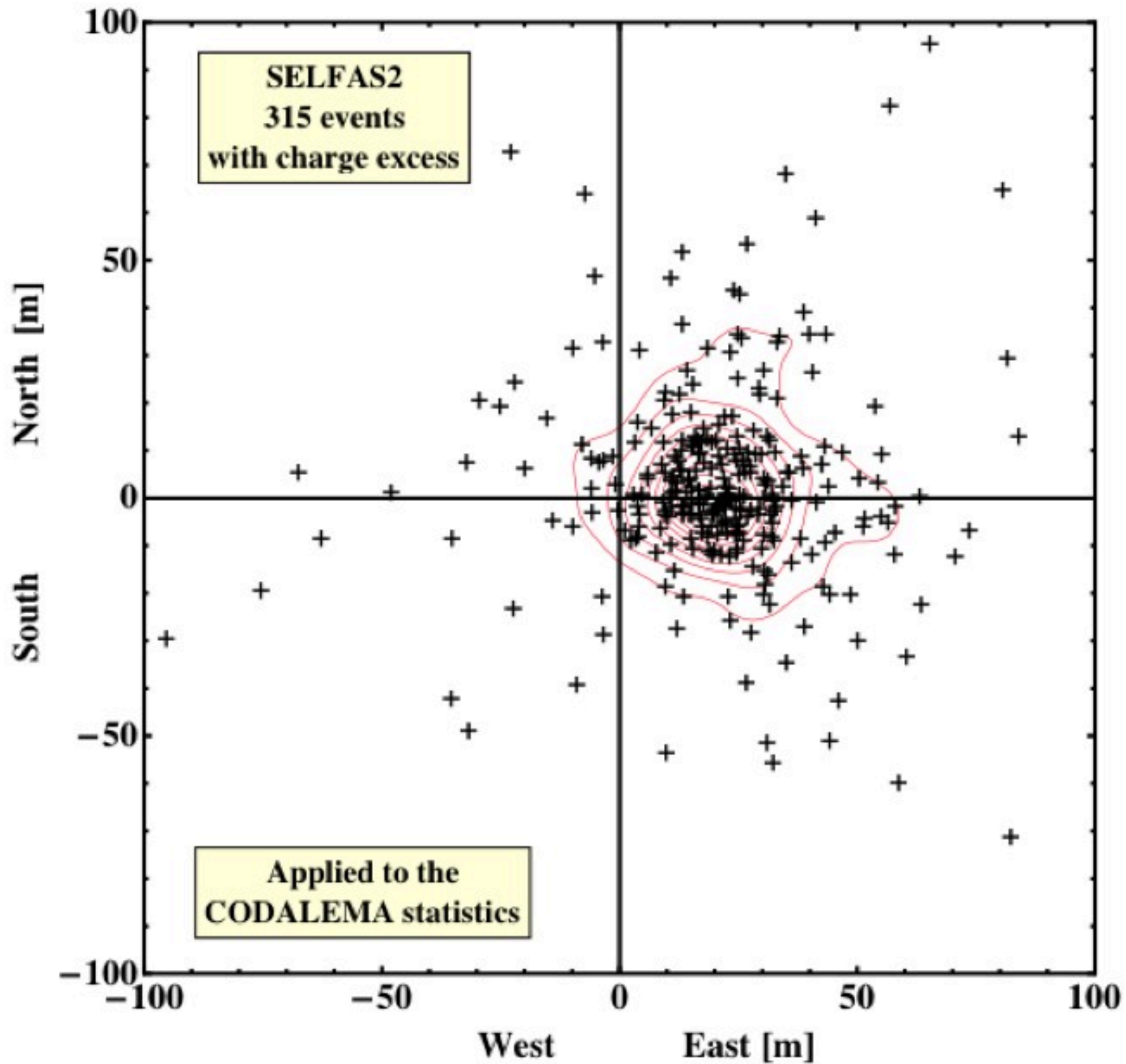
$$\frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i(1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret}$$

~~$$\frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1} \left[\frac{\mathbf{n}_i q_i(t_{ret})}{R_i(1 - \boldsymbol{\beta}_i \cdot \mathbf{n}_i)} \right]_{ret}$$~~

The charge-excess component

Marin, ICRC 2011

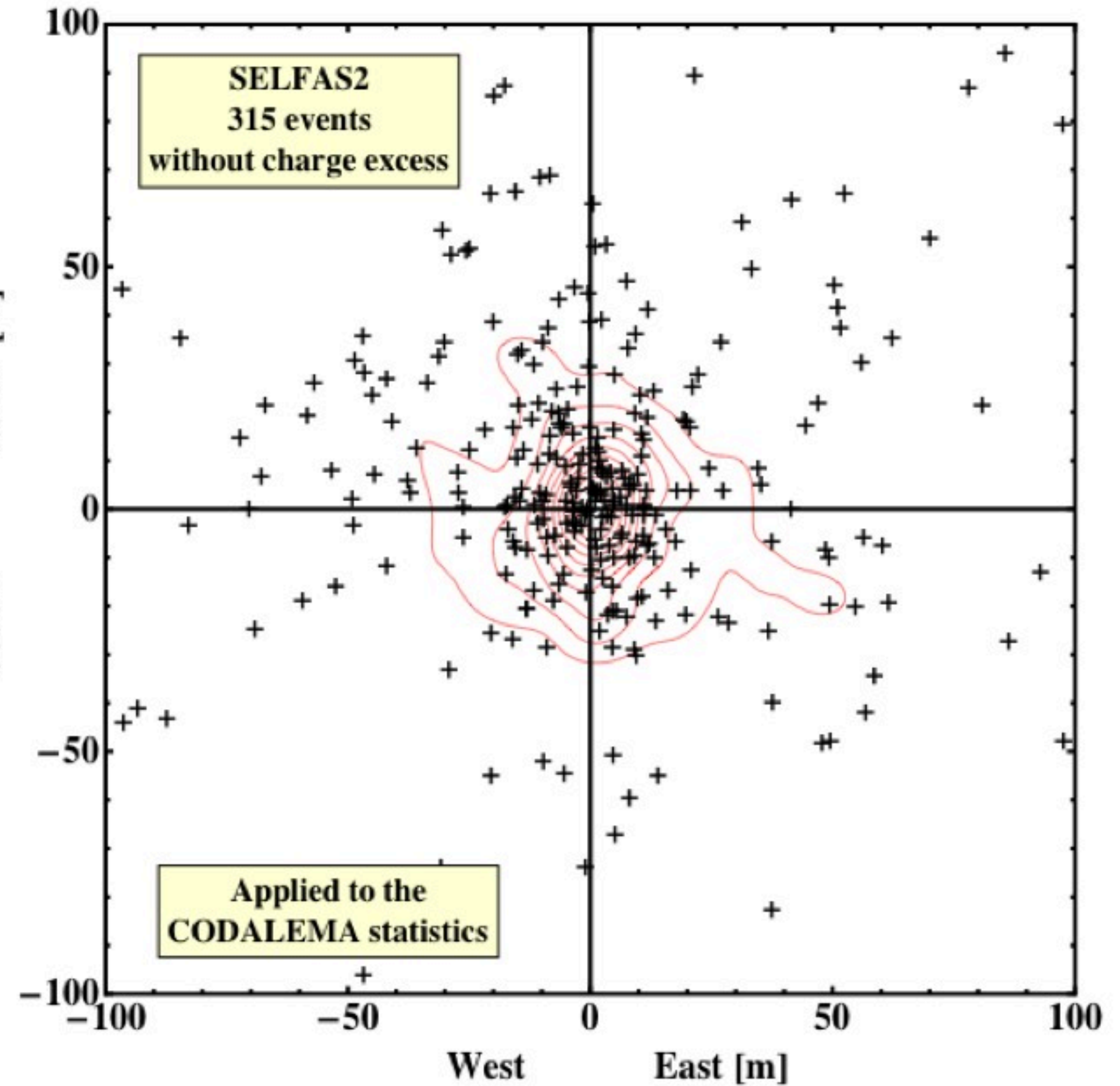
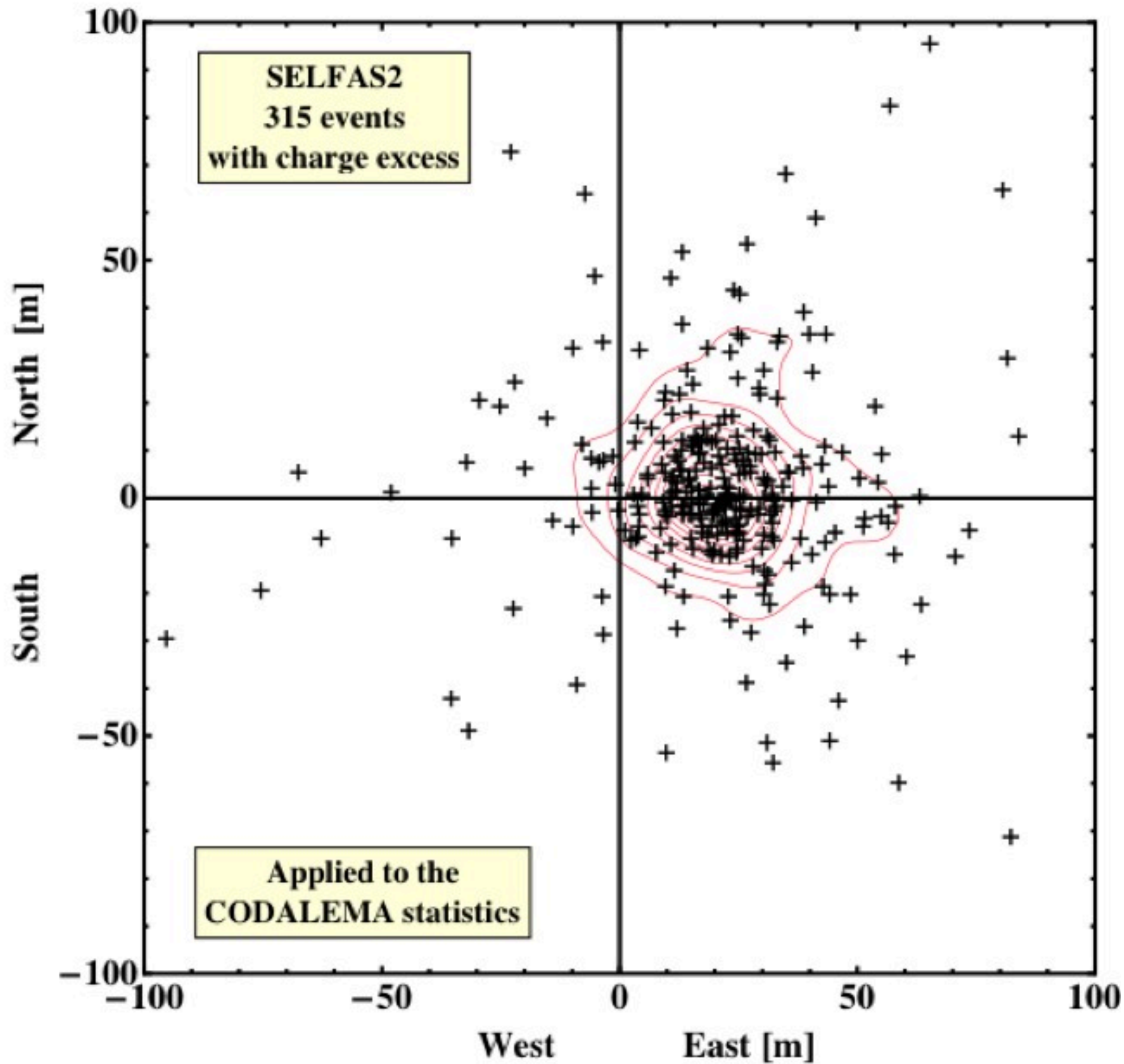
$$\delta \vec{R}_{\text{core}} = (x_0, y_0)_R - (x_0, y_0)_S$$



The charge-excess component

Marin, ICRC 2011

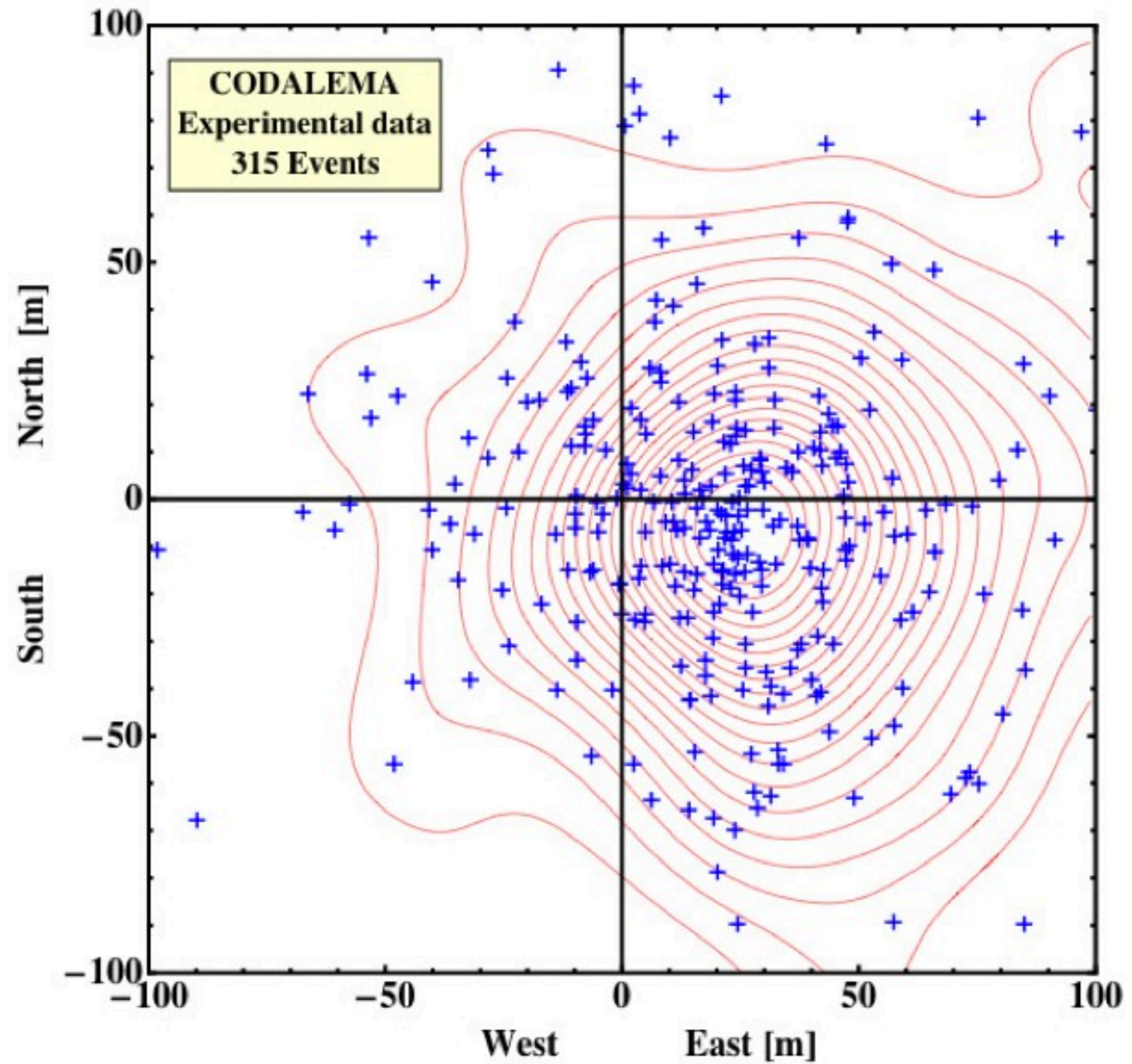
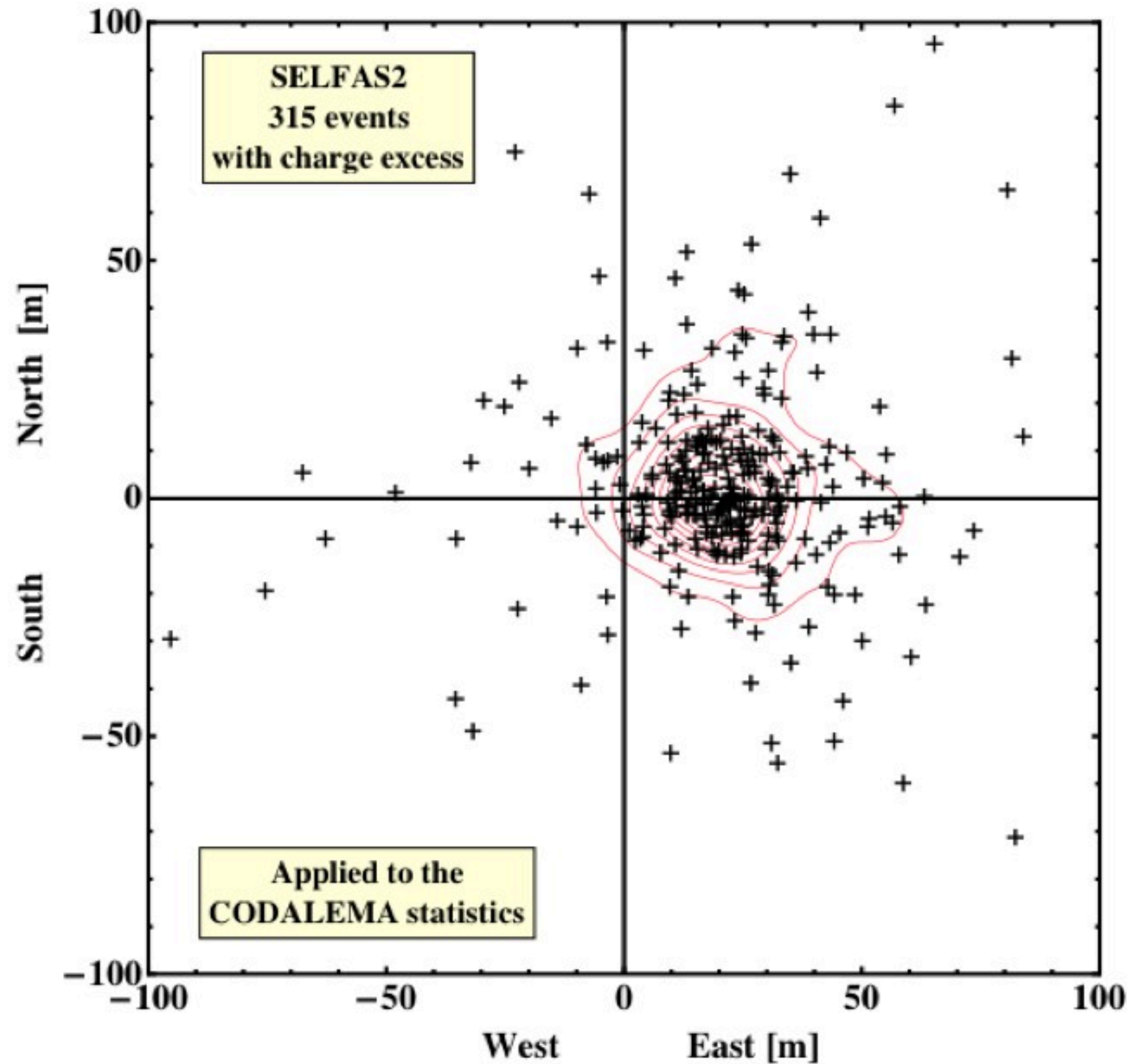
$$\delta \vec{R}_{\text{core}} = (x_0, y_0)_R - (x_0, y_0)_S$$



The charge-excess component

Marin, ICRC 2011

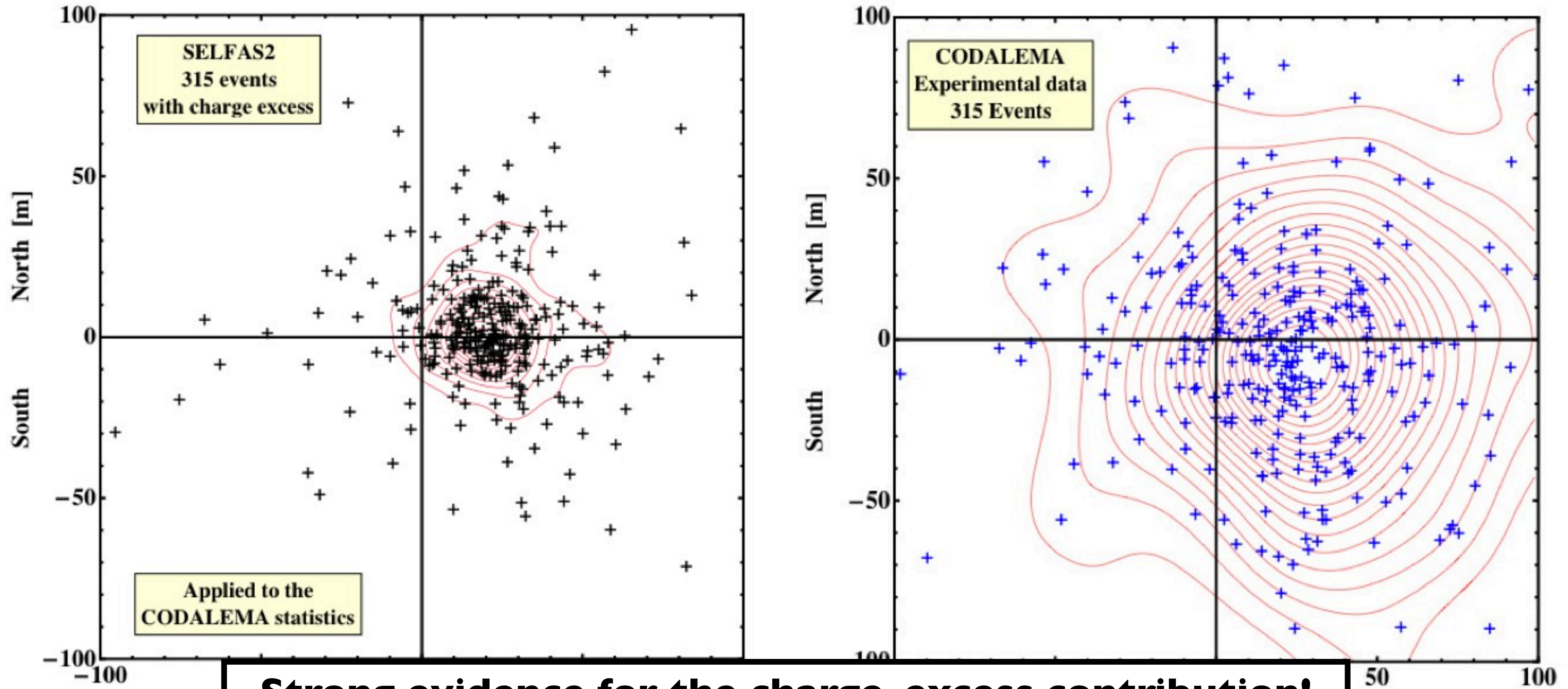
$$\delta \vec{R}_{\text{core}} = (x_0, y_0)_R - (x_0, y_0)_S$$



The charge-excess component

Marin, ICRC 2011

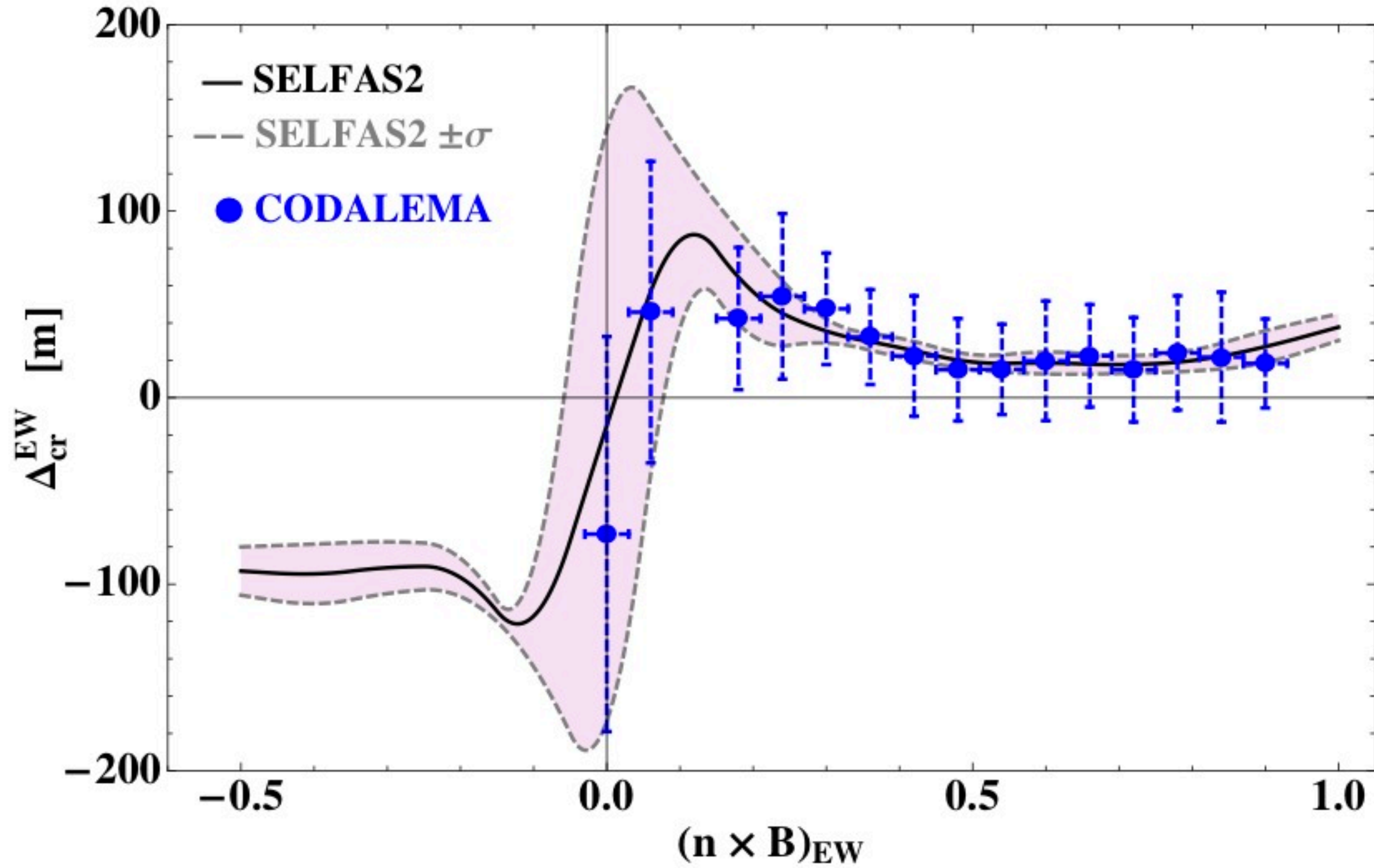
$$\delta \vec{R}_{\text{core}} = (x_0, y_0)_R - (x_0, y_0)_S$$



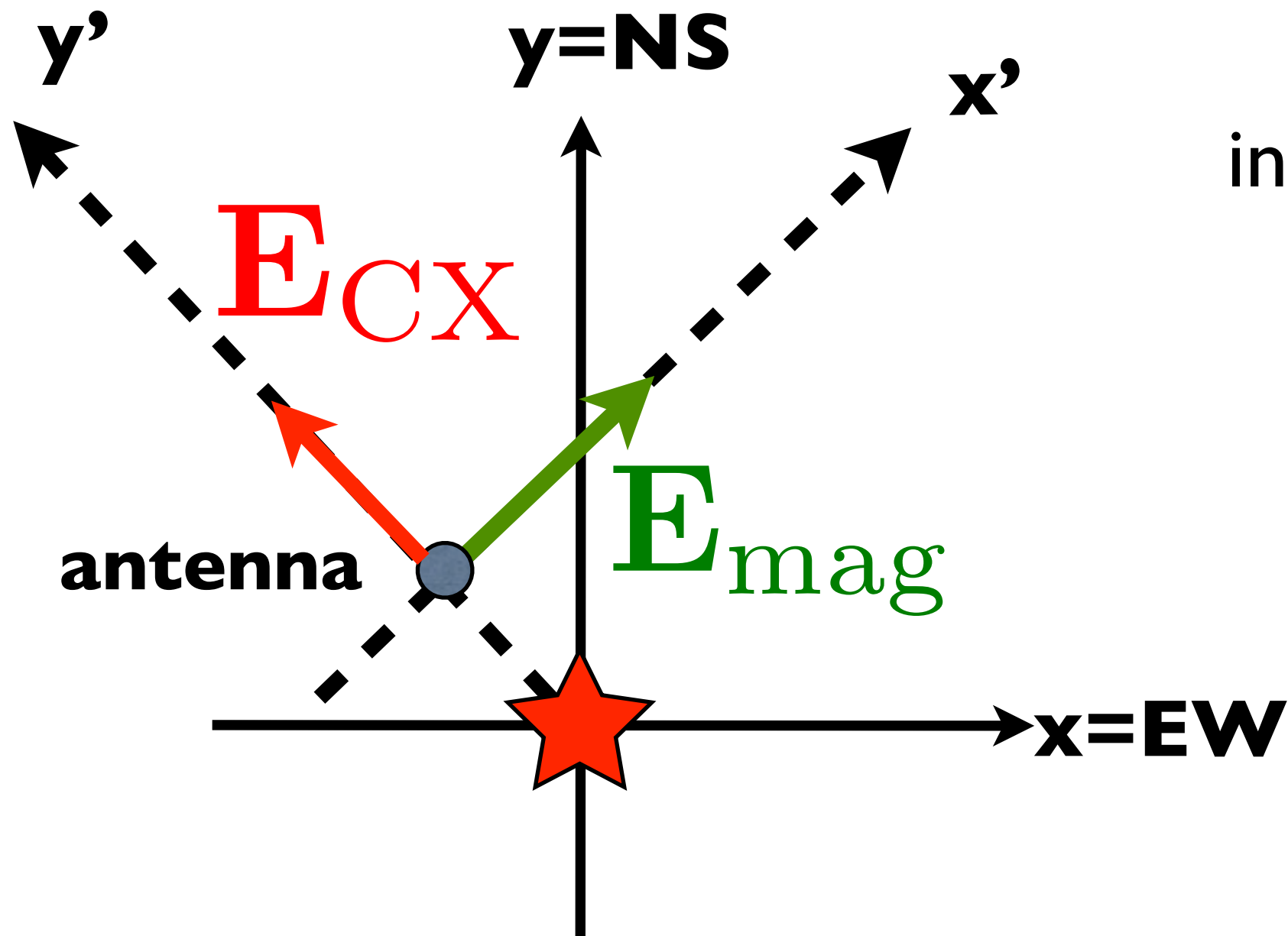
Strong evidence for the charge-excess contribution!

The charge-excess component

Marin, ICRC 2011



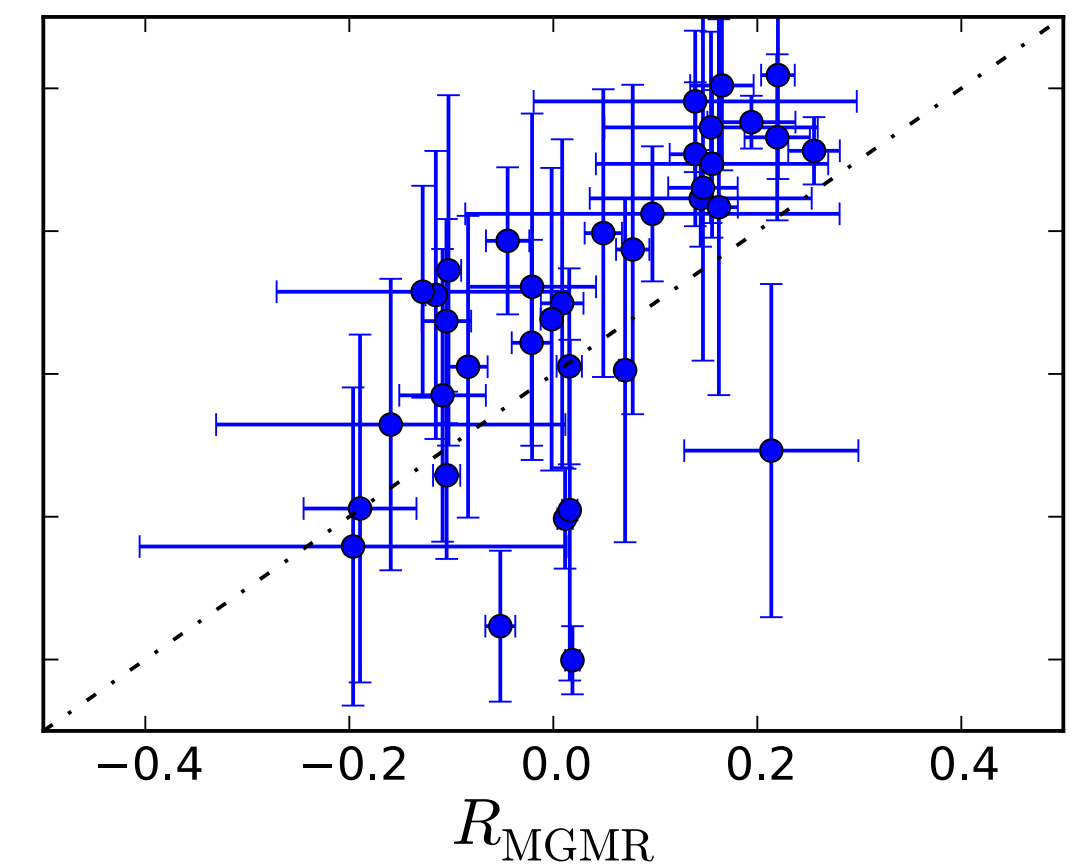
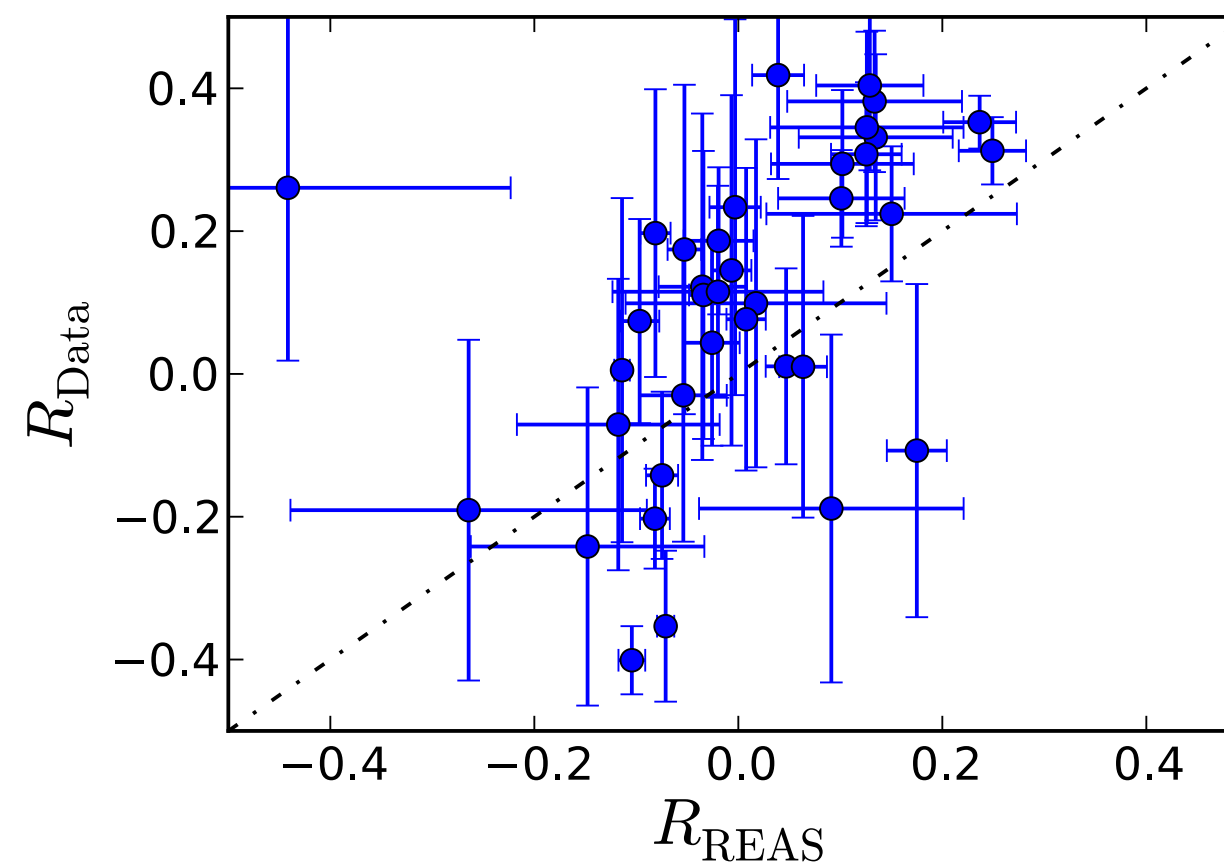
The charge-excess component



in (x', y') , define:

$$R = \frac{\sum_{i=1}^N E_{x'}(t_i) E_{y'}(t_i)}{\sum_{i=1}^N E_{x'}^2(t_i) + E_{y'}^2(t_i)}$$

if no charge excess: $R=0$ compare R_{data} and R_{sim}



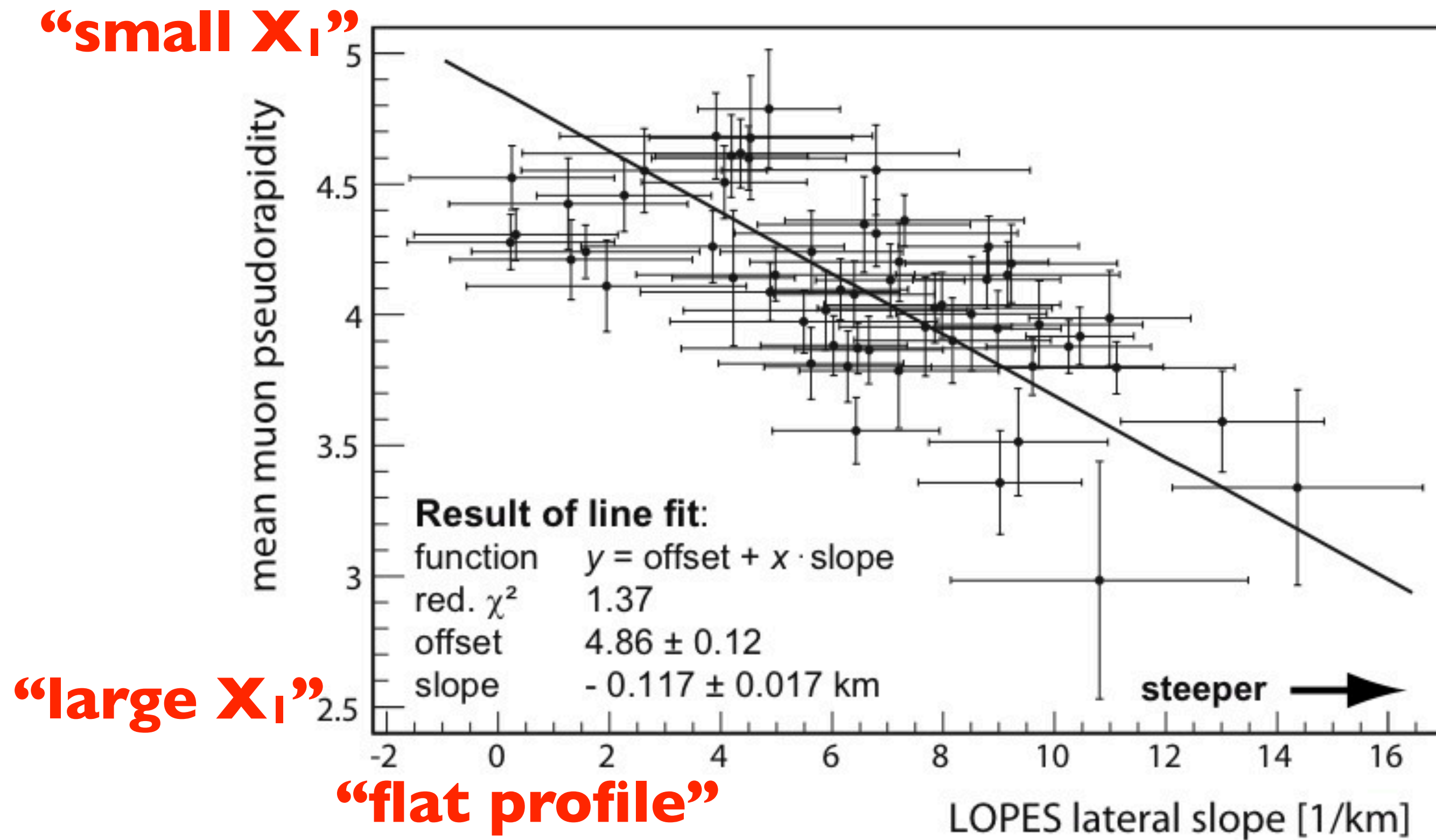
χ^2/dof values	nxB only	nxB+charge excess
MGRM	6.08	2.53
REAS	6.28	2.64

Correlation with shower development (nature of the primary)



LOPES, Phys. Rev. D 2012, arXiv:1203.397v1

correlation between slope of the LDF and mean muon pseudorapidity
the radio signal is sensitive to the longitudinal development of air showers



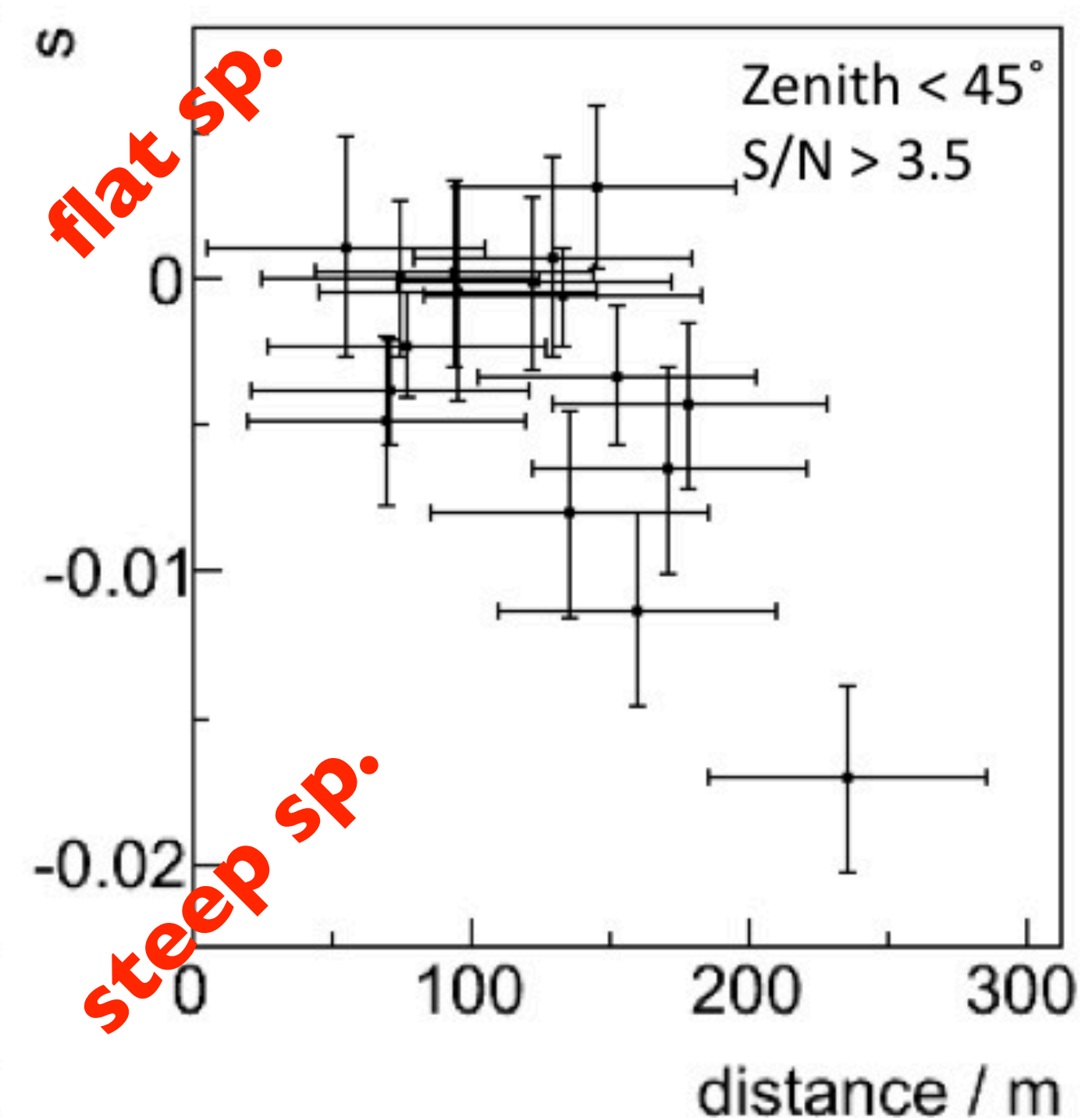
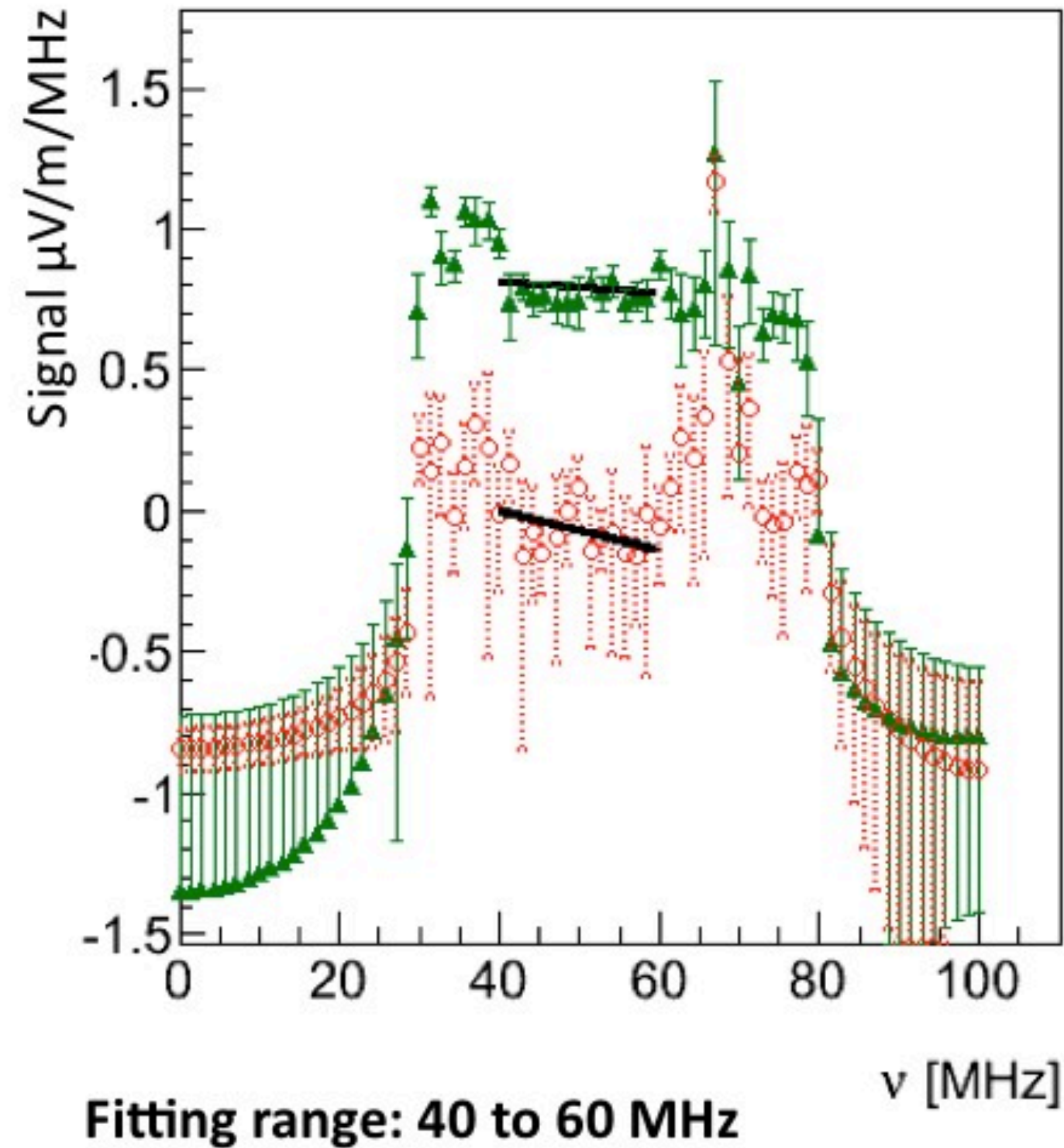
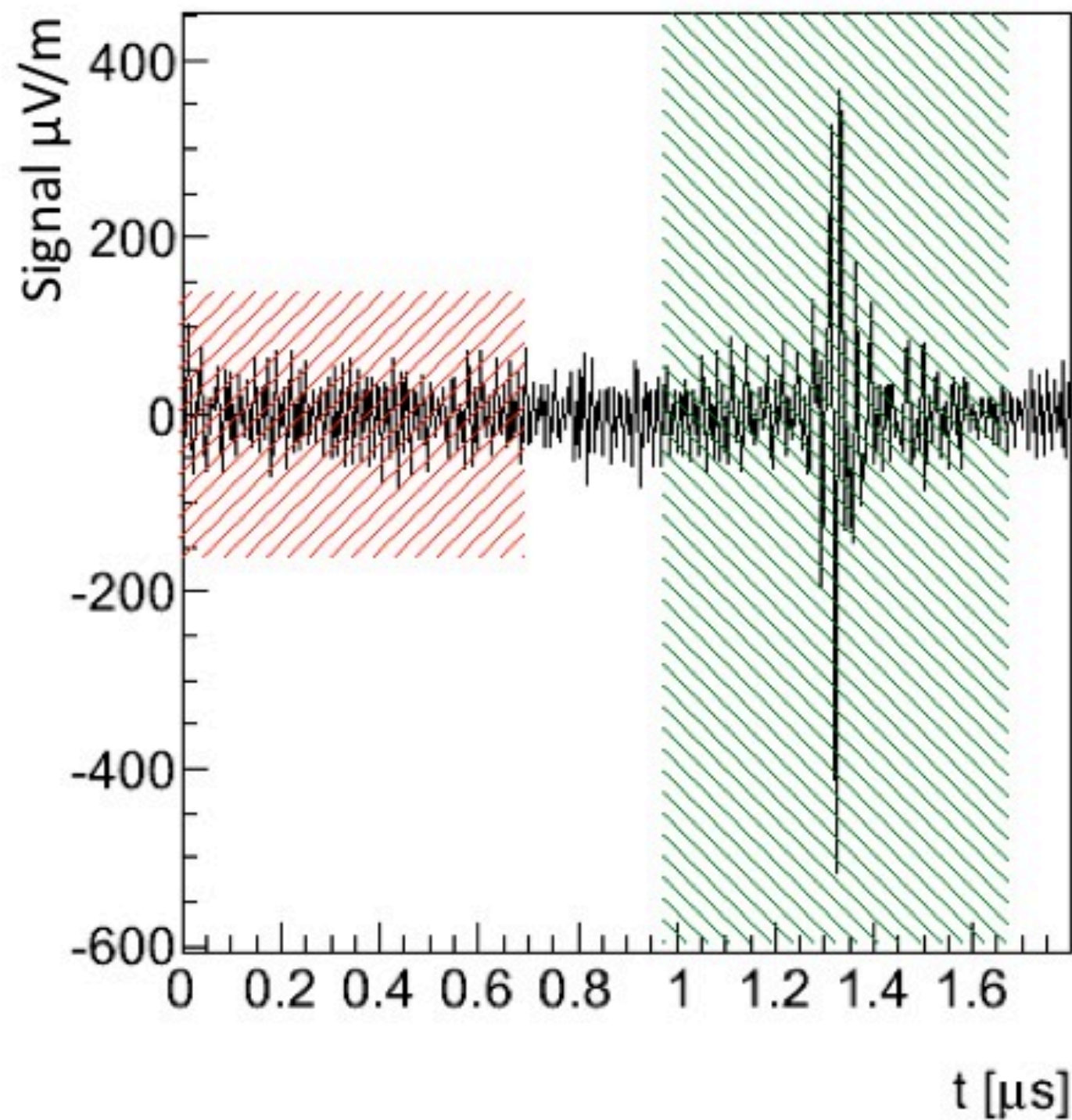
(see also talk of
N. Palmieri,
LOPES and X_{max})

Correlation with shower development (nature of the primary)

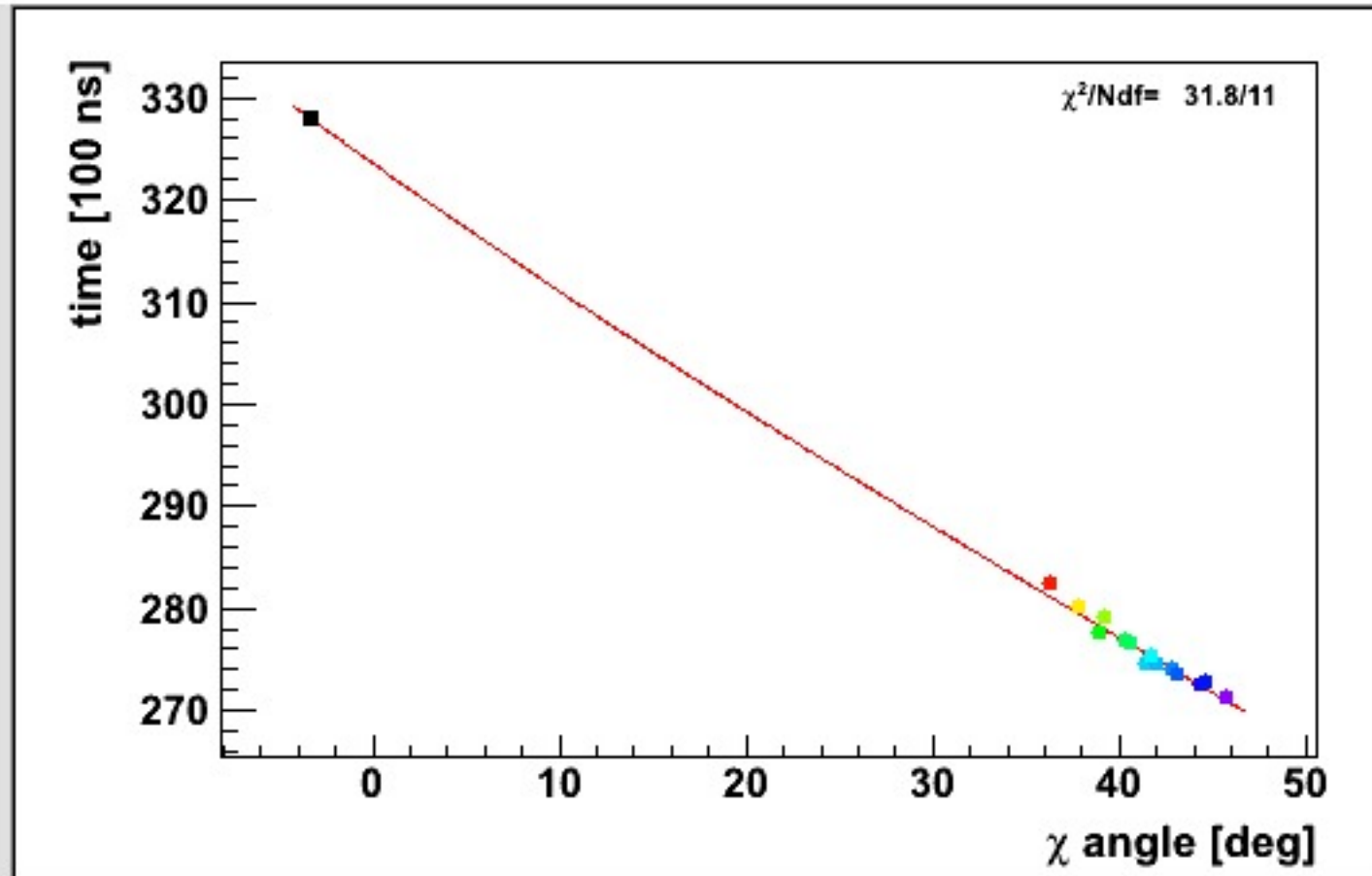
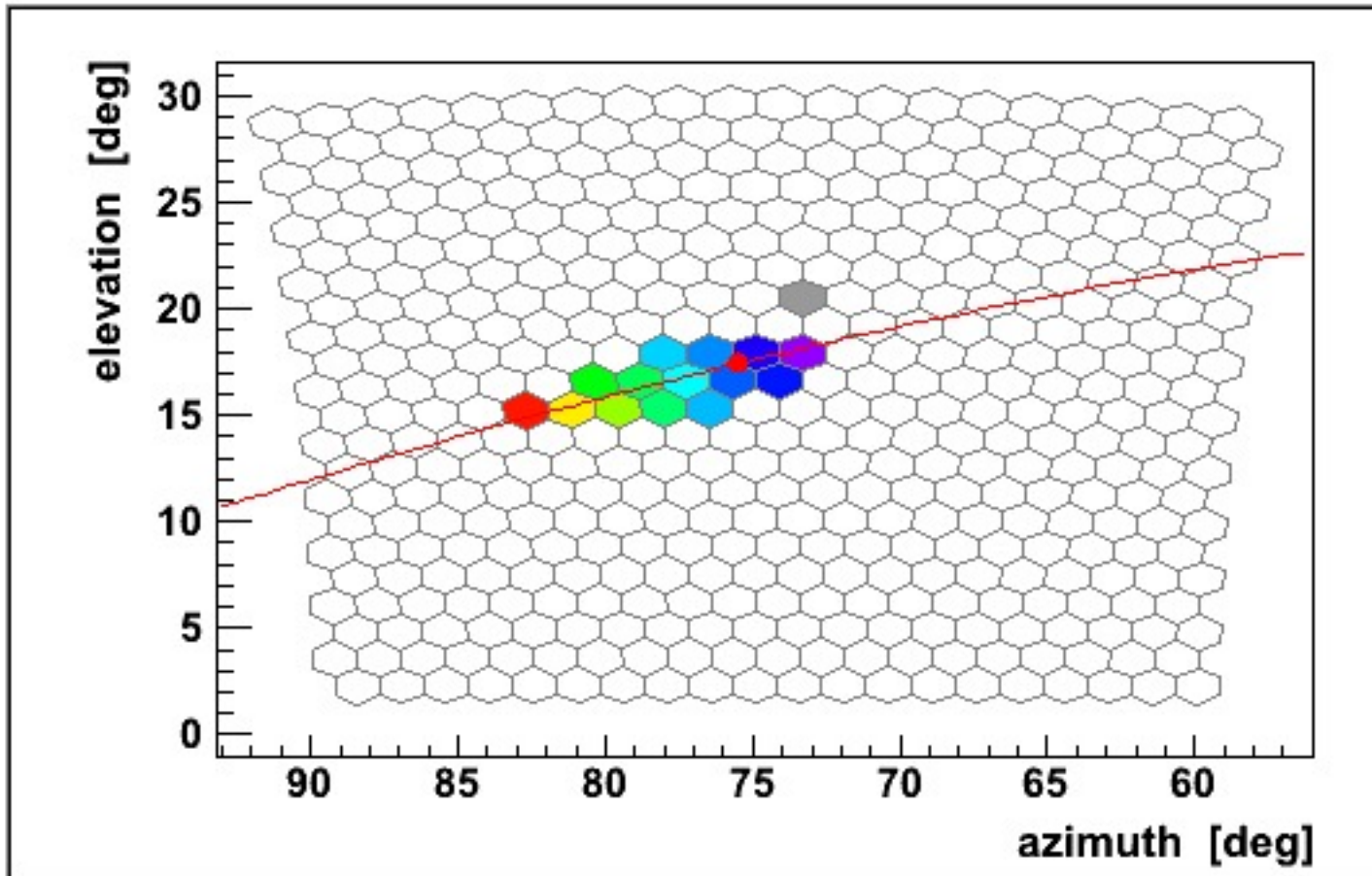


The time shape of the signal depends on the line of sight: influence on the power spectrum
Fit the slope of the power spectra: the slope depends on the shower geometry

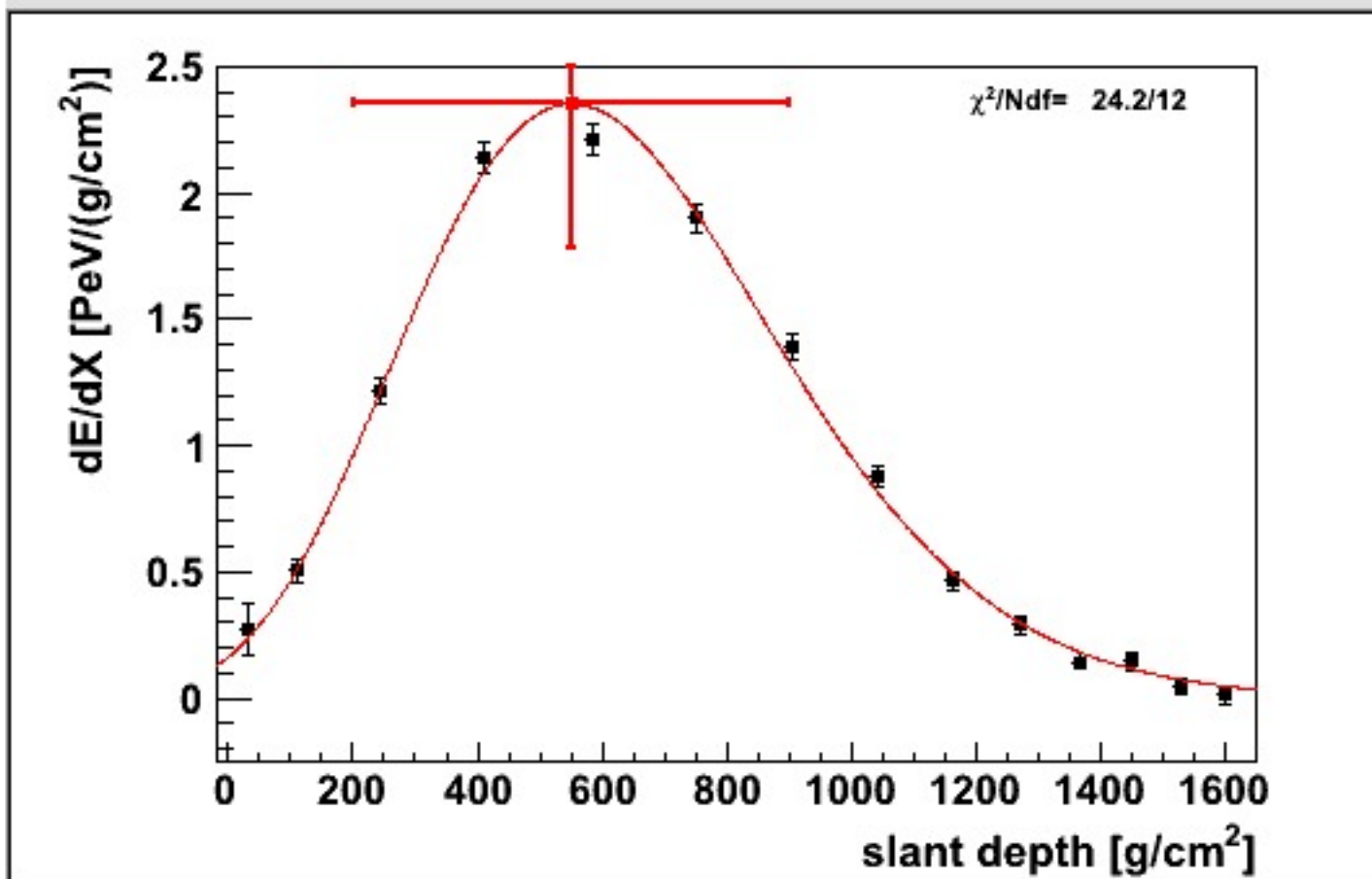
(see talk of S. Grebe)



Correlation with shower development (nature of the primary)



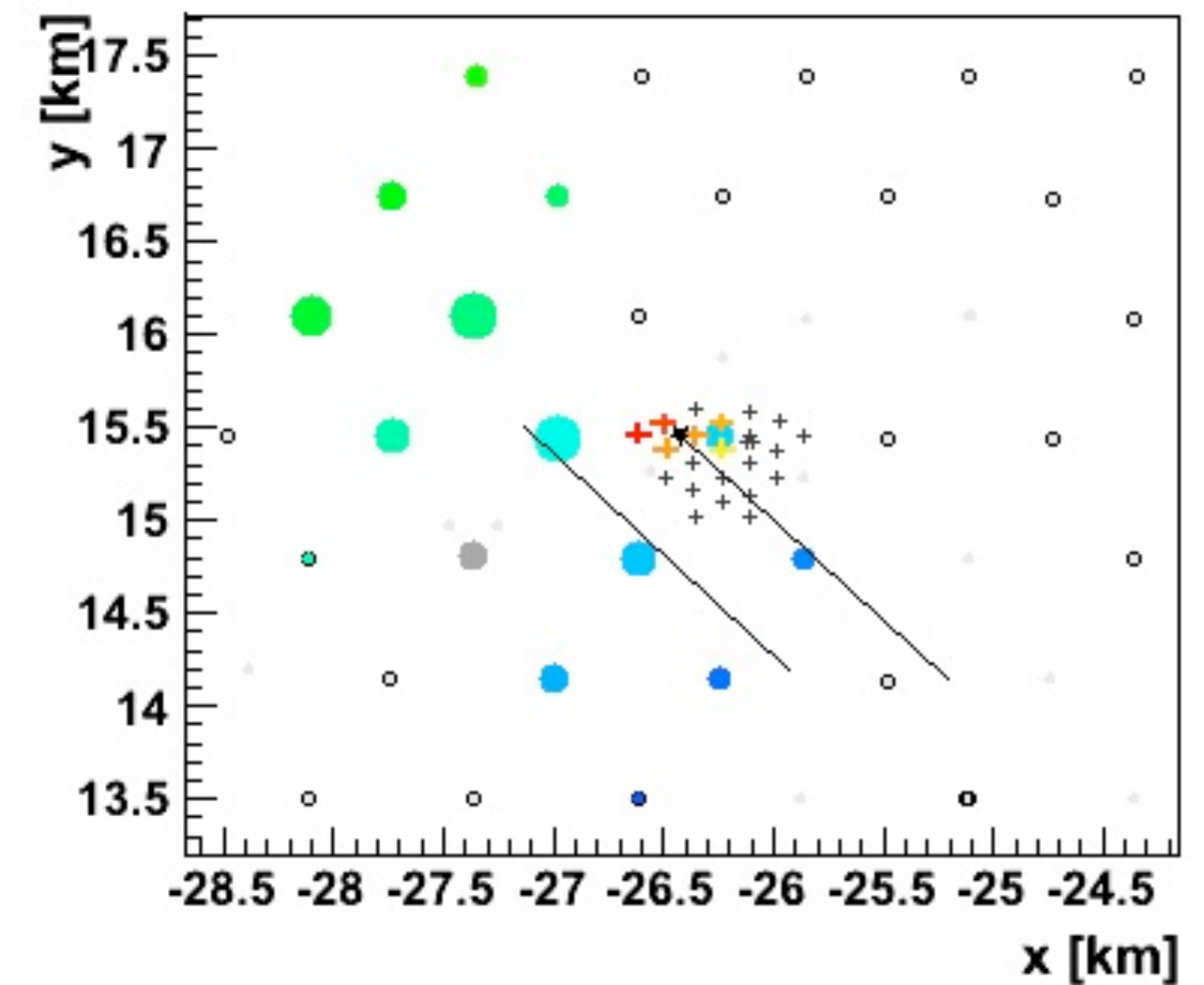
AERA experiment: uses data and reconstruction from SD and FD !
(see talk of M. Melissas)



Event Info | Pixels

Run 4330 Event 7663
 time stamp: 1014363932 s 975590177 ns
 Trigger: 'Physics - Int or L/R trigger', 'Shower Candidate'
 hottest hybrid station: 1622 (TOT), $\Delta SP = 359$ m
 Mie attenuation: model
 LIDAR: no data ; CloudCam: no data
 in Coihueco mirror 3 (in DAQ: 1 2 3 4 5 6)

$E = (1.97 \pm 0.51) \times 10^{18}$ eV
 $X_{max} = 551 \pm 351$ g/cm²
 $dEdX_{max} = 2.35 \pm 0.57$ PeV/(g/cm²)
 $(\lambda, X_0) = (81 \pm 21, -541 \pm 211)$ g/cm²
 Cherenkov-fraction = 91%, mva=2 deg.
 $(\theta, \phi) = (70.7 \pm 1.7, 312.8 \pm 4.5)$ deg
 $(x, y) = (-27.03 \pm 0.09, 14.97 \pm 0.42)$ km
 dca to Eye = 3.69 ± 0.05 km





Synthesis

At first order $\mathbf{E} = \mathbf{n} \times \mathbf{B}$ in both amplitude and polarization (almost all experiments), in both hemispheres

Close to the shower axis: Cerenkov

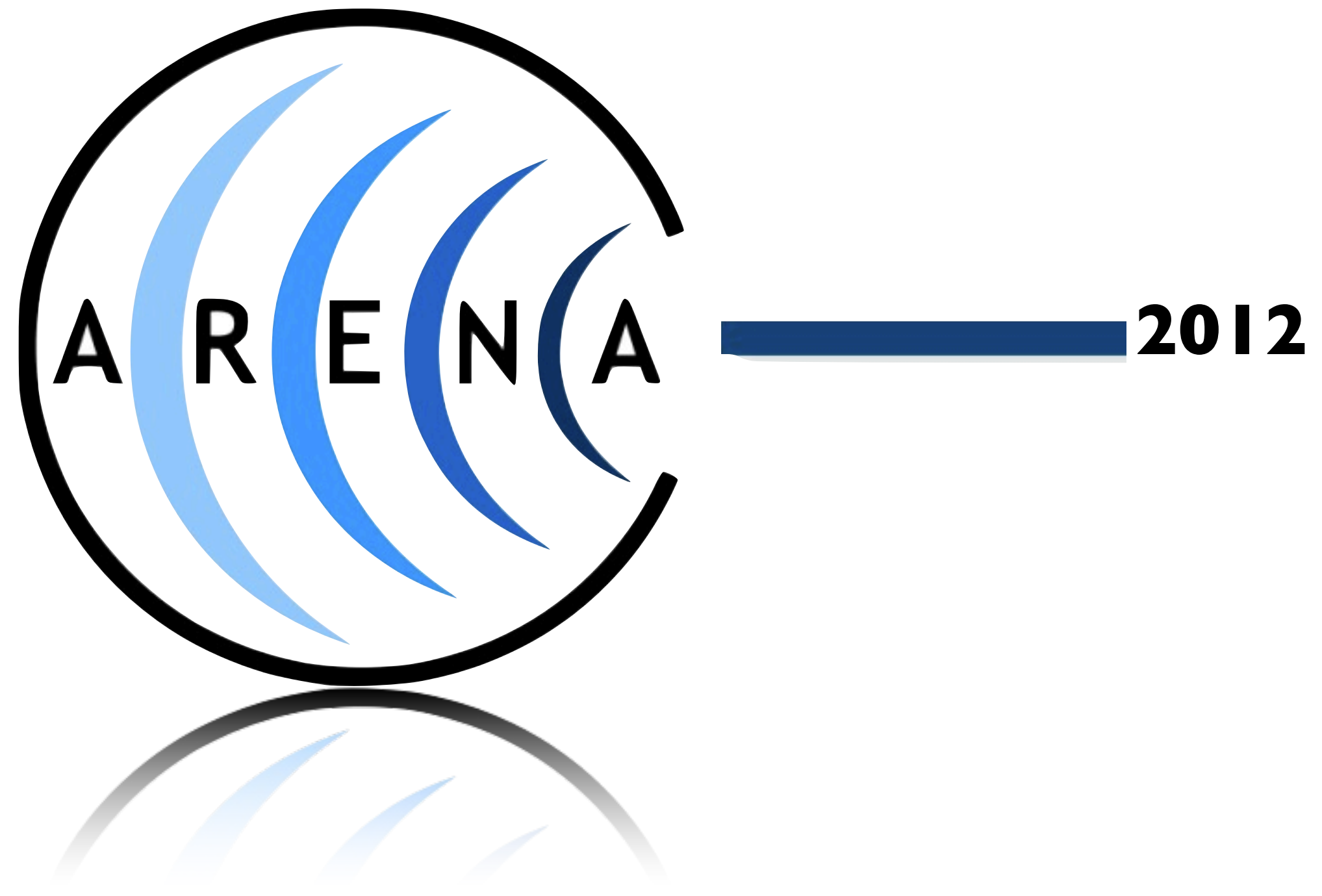
“LDF anomaly”: flat for antennas close to the shower axis; departure from an pure exponential dependence with axis distance

The charge-excess mechanism is (almost) detected:

- signature in the polarization angle (AERA & MAXIMA setup)
- signature on the radio core positions (CODALEMA)

Signal depends on: angle to geomagnetic field, distance to shower axis, position of the detector wrt shower core and frequency band

Radio signal sensitive to the shower development: indication in the data (not only in simulations!)



Codalema 3

The station

Butterfly antenna, EW & NS polarization measurement

GPS based timing system, resolution of the order of 5 ns,

Analog trigger board,

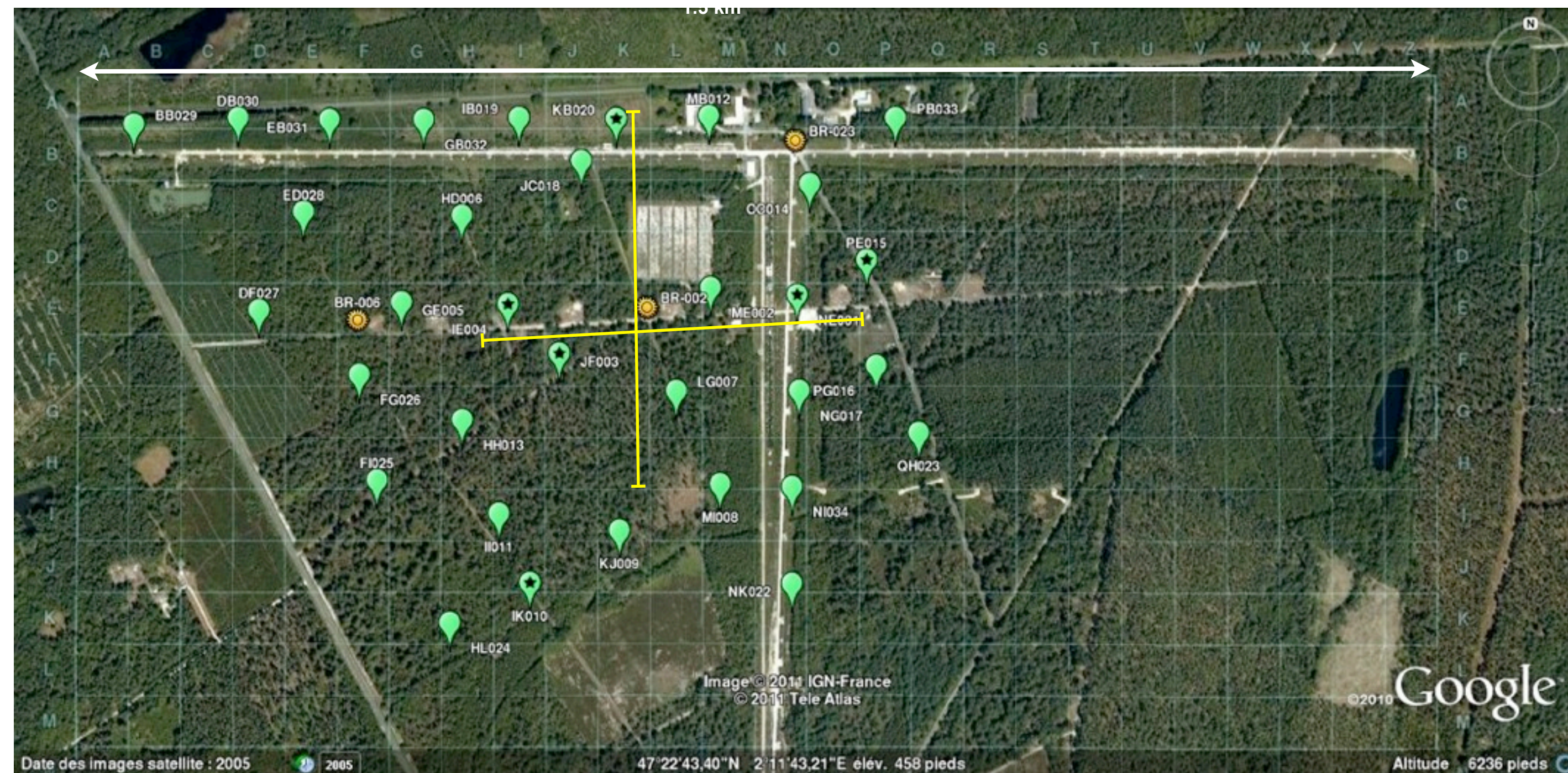
2 ADC channels(1 GHz 2560 pts 14 bits),

Embedded PC

Optical fiber

external power supply (cables) but designed for batteries

Design validated at the Pierre Auger Observatory

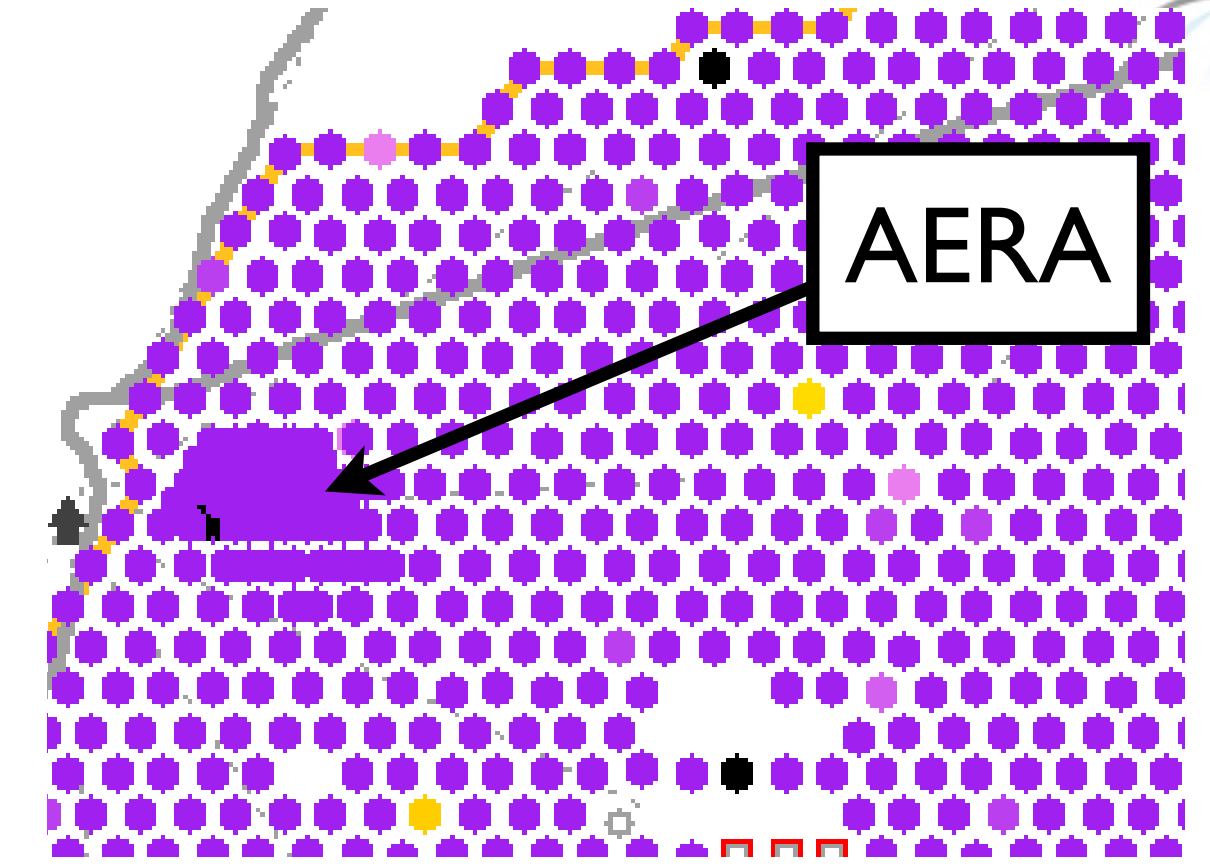
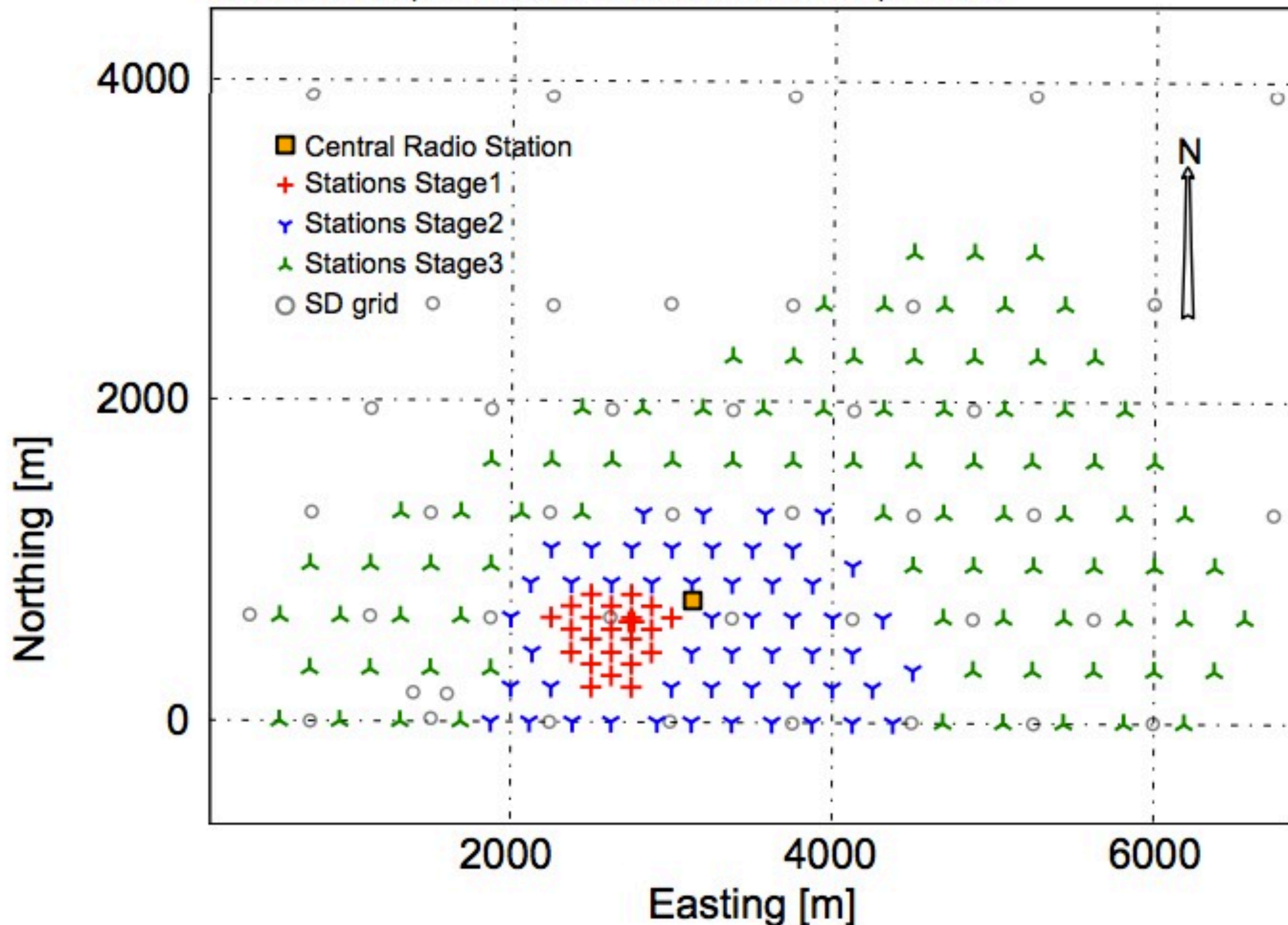


AERA



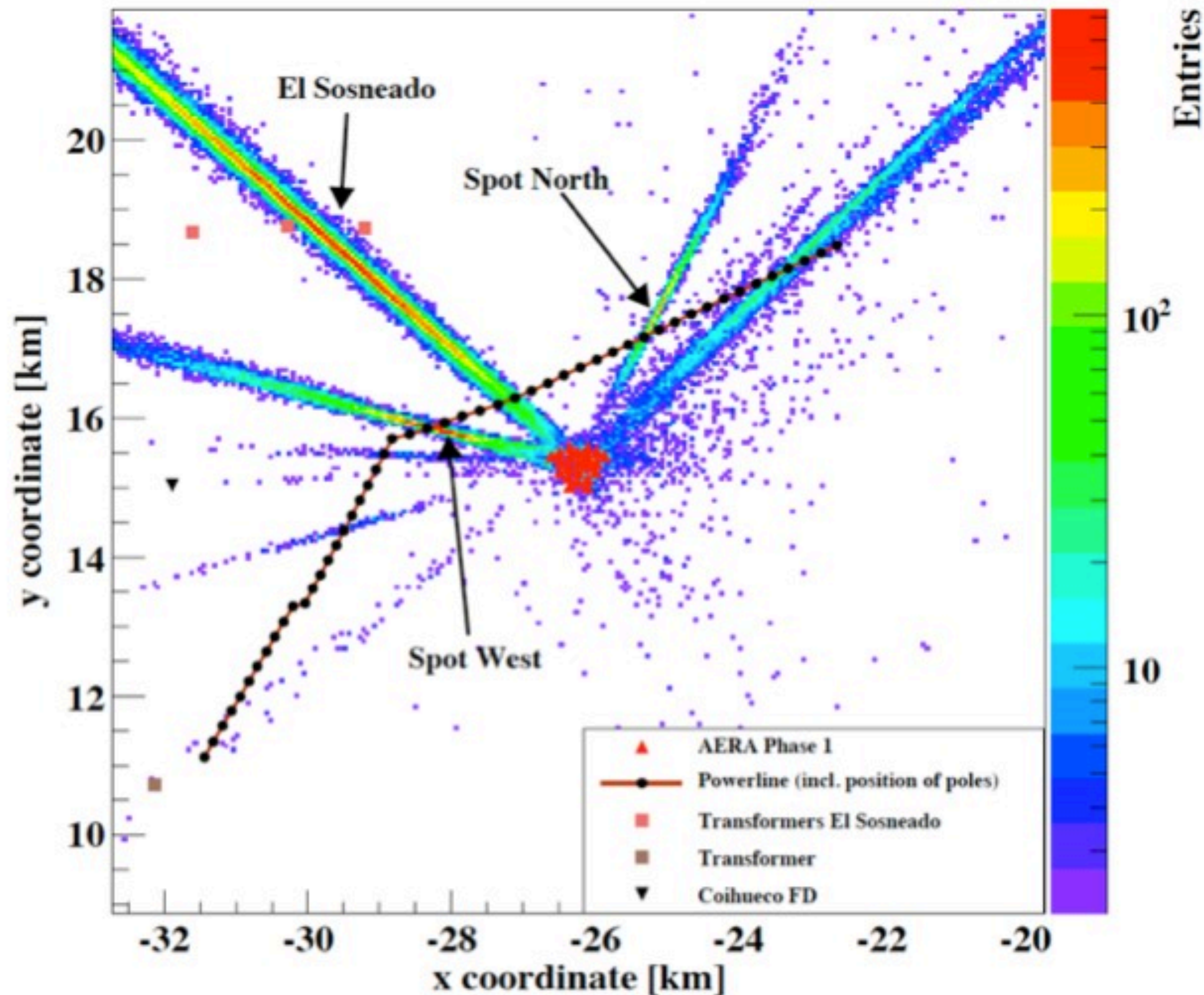
running since end of 2010

UTM 19 South, (E = 448375.63 m, N = 6113924.83 m) as offset



- overlap Auger Infill, HEAT, AMIGA
- self-trigger
- external trigger: SD and FD

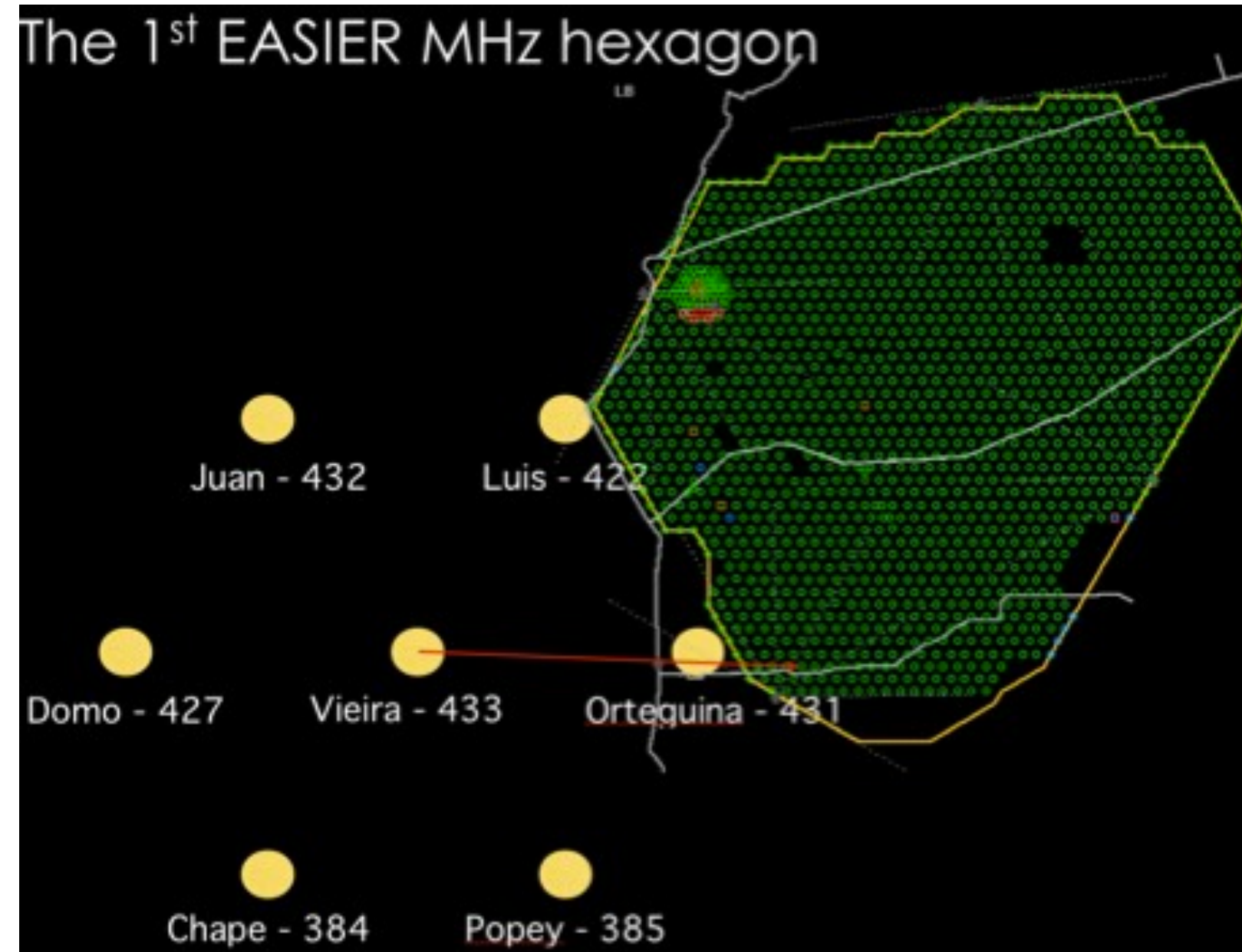
Schoorlemmer, ICTAPP 2011



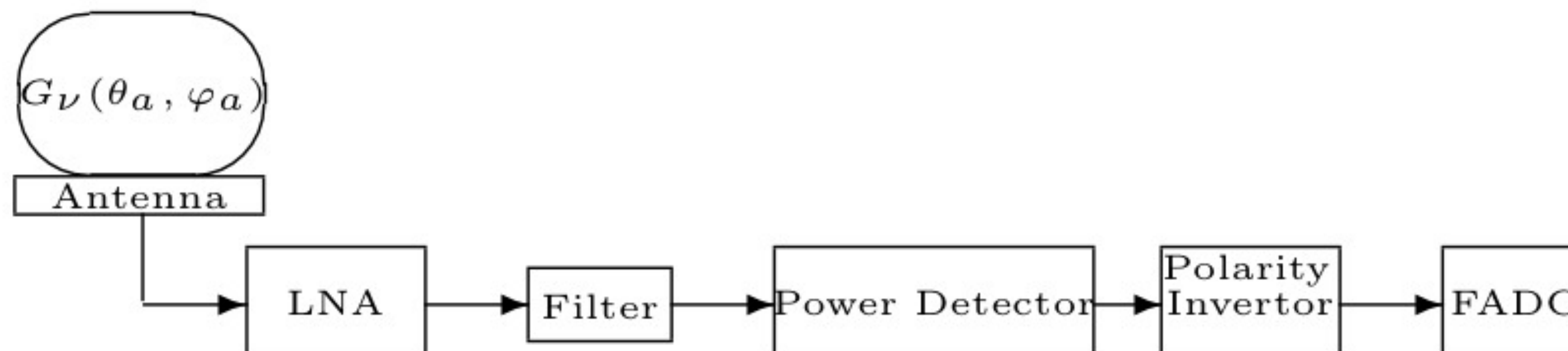
strong anthropic flux
(mainly electric converters), 50 Hz
representing **MOST** of our triggers

improvements of local trigger and
central trigger lead to ~ 0.1 Hz of really
interesting event
(rejection factor $> 98\%$)

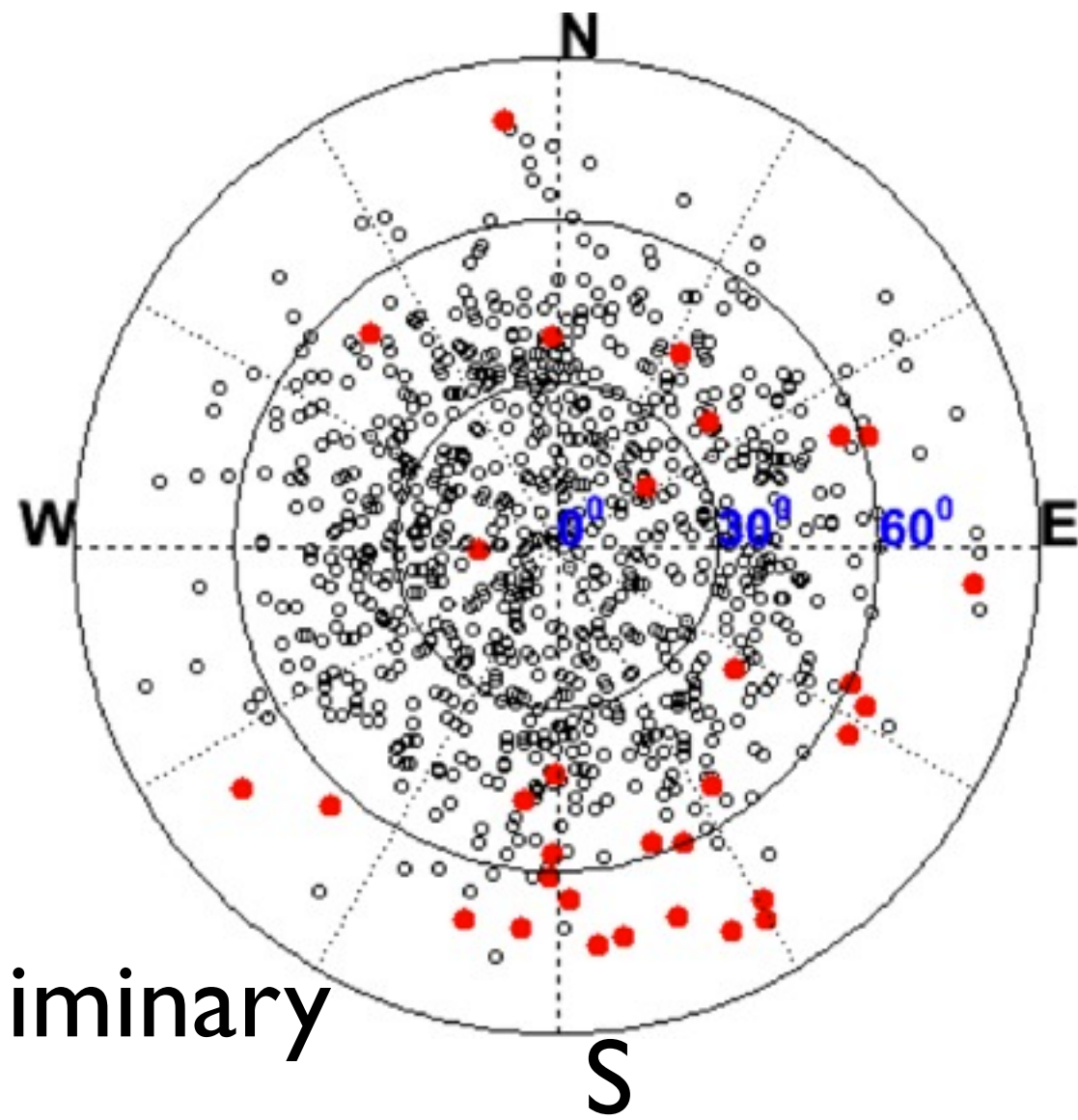
EASIER: MHz at large distance (1.5 km)



uses the CODALEMA dipolar antenna (EW polarization) and the ADC of the tank (sampling at 40 MHz), radio counterpart of a particle signal (no self-trigger)



EASIER: MHz at large distance (1.5 km)

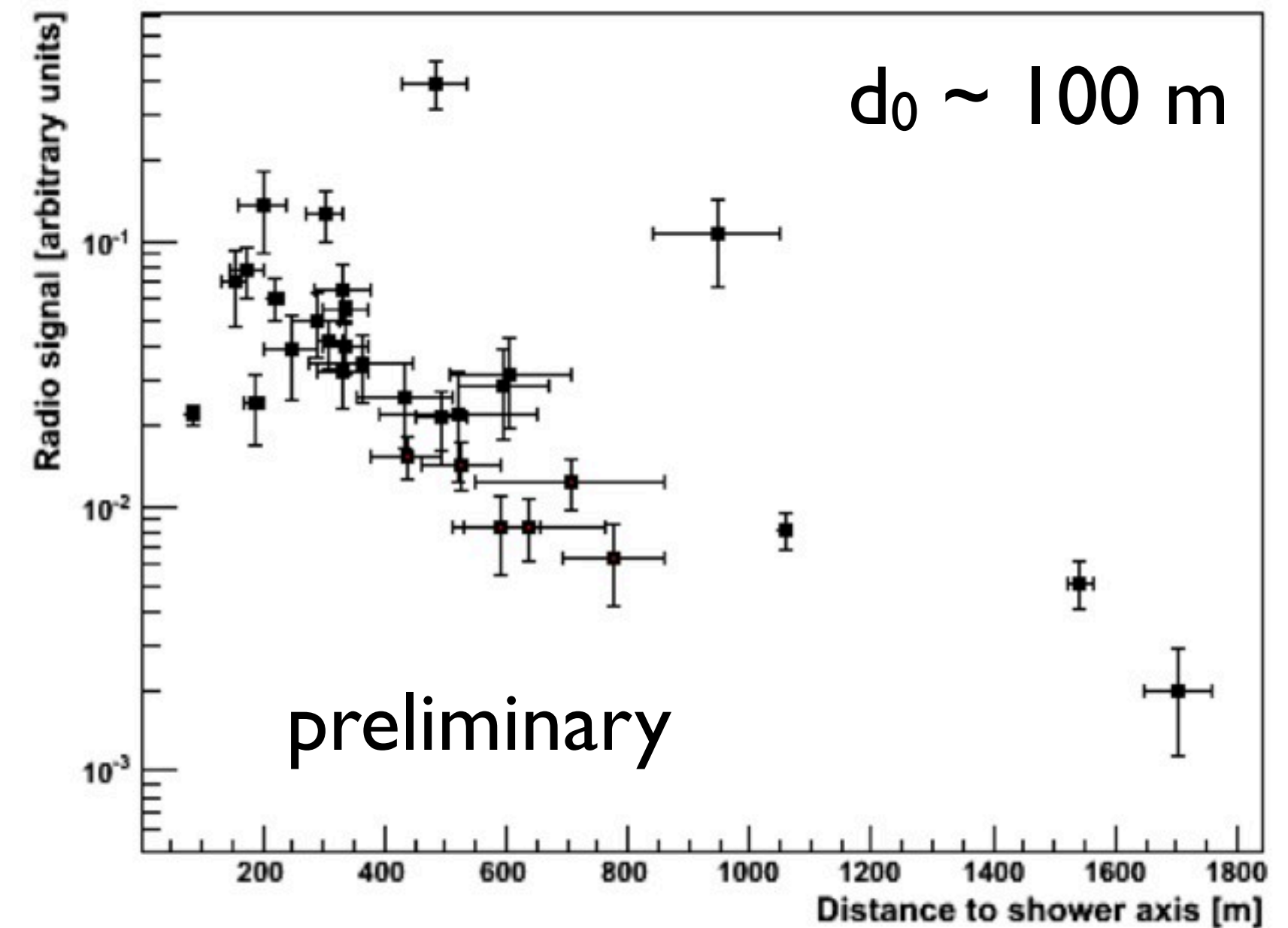


Geomagnetic effect is observed but strong lobe effect

preliminary

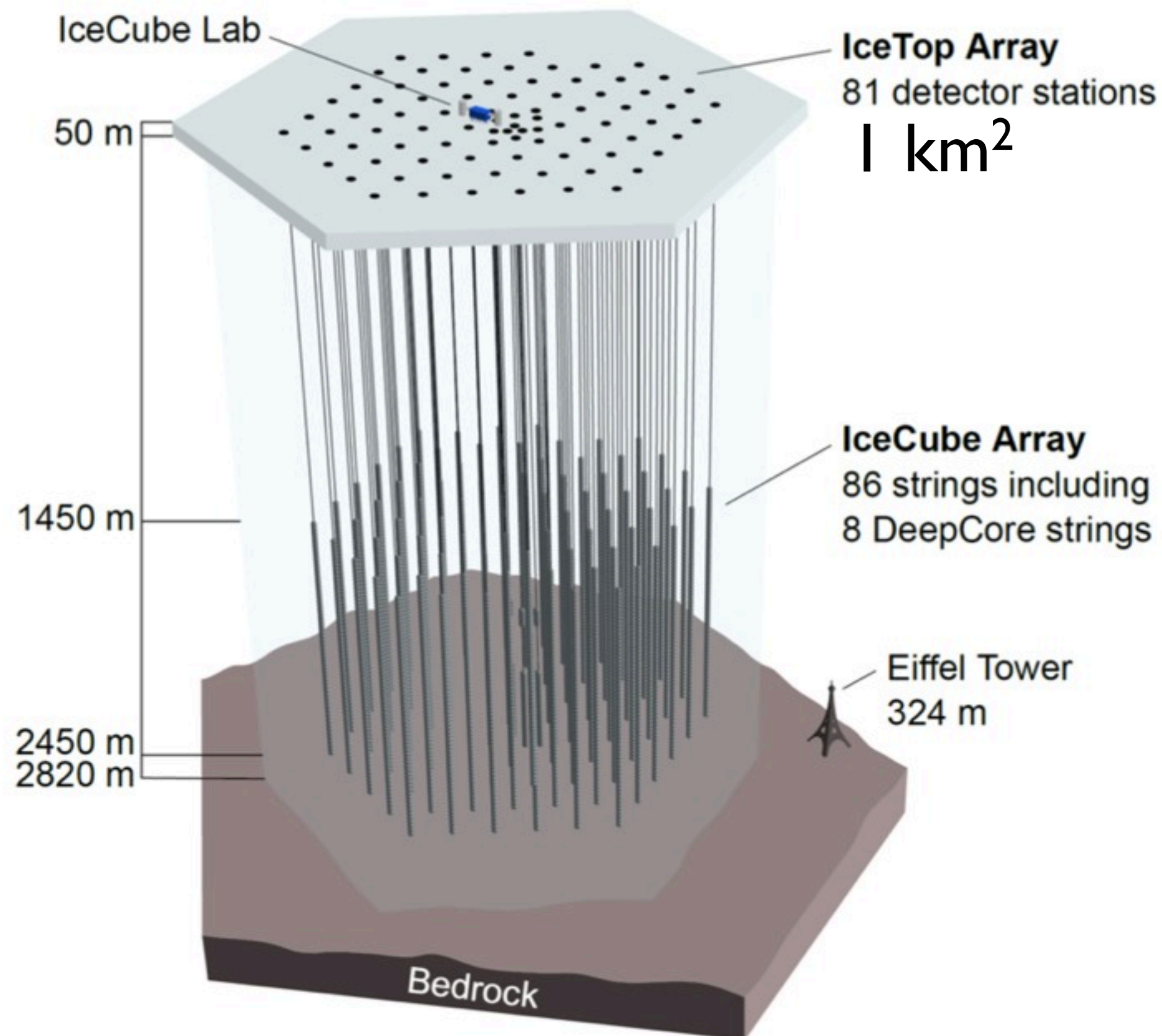
$$\epsilon_0 \propto \exp(-d \cos \theta / d_0)$$

(no axis distance but distance to shower maximum)



Plans for 2012: go for 50 equipped tanks with the CODALEMA butterfly antenna

The RASTA experiment



Additional detector to IceCube and IceTop
IceCube = high energy muons in ice
IceTop = surface detector of the shower
Radio detection of air showers

aim: improve the estimation of the shower composition and improve the neutrino sensitivity (better veto)

~ 1000 antennas centered on IceTop and covering ~ 10 km²

range: 10^{16} eV - ankle
zenith angle up to 60°

LOPES-like: **interferometric** radio array

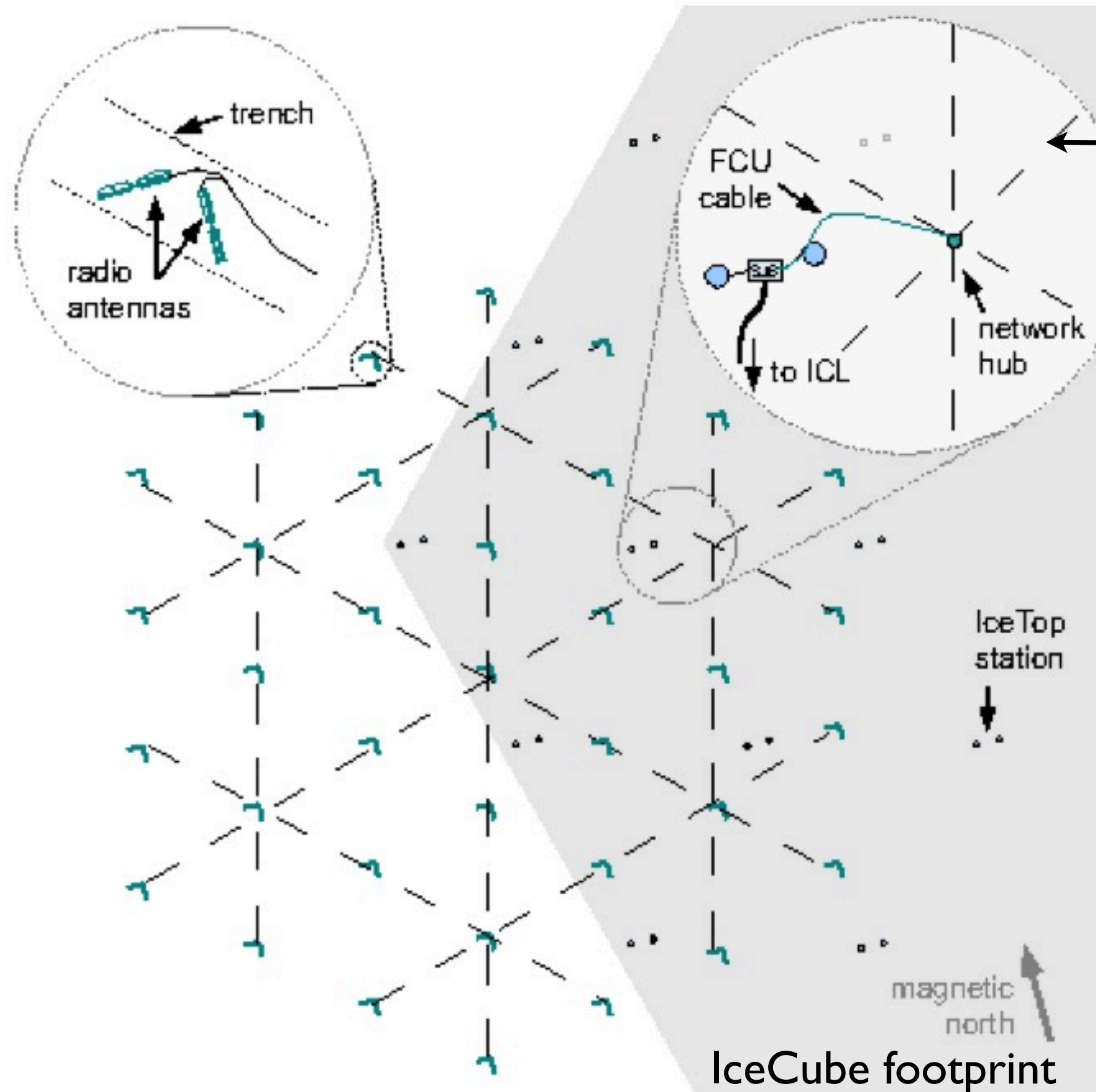
The RASTA experiment



DuVernois, ICRC 2011

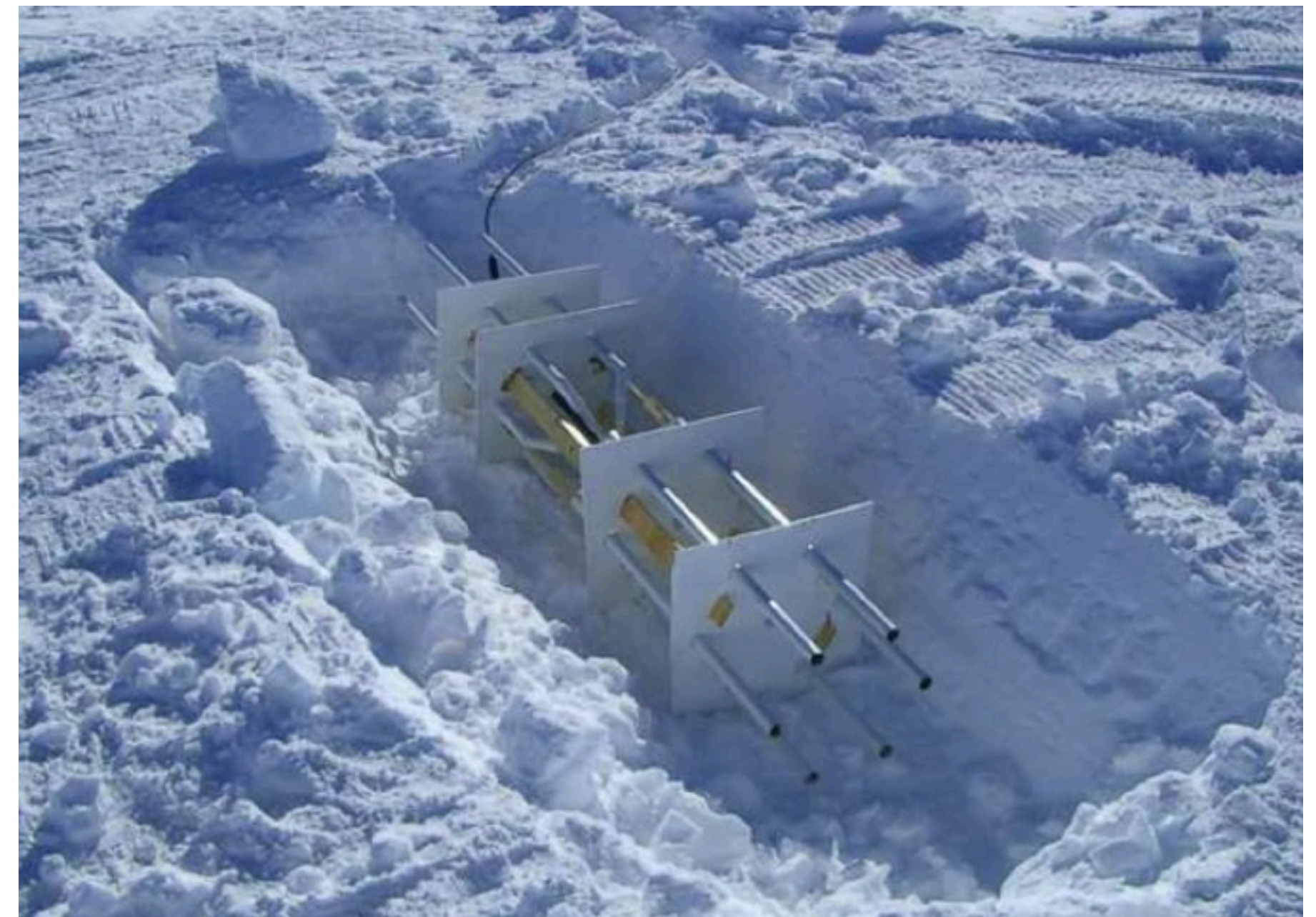
Antennas are in orthogonally polarized pairs

Possible RASTA configuration



data/power line

AskaryanRadioArray fat wire dipole 25-160 MHz
(used for tagging EAS events)



The TREND experiment



Martineau-Huynh, ICGAC 2011

2011: extension to 50 butterfly antennas from CODALEMA to reach 1.5 km²

EAS candidate: $\Theta = 63^\circ$, $\phi = 7^\circ$, $\lambda = 241$ m

