

# Light ion overview ATLAS soft physics

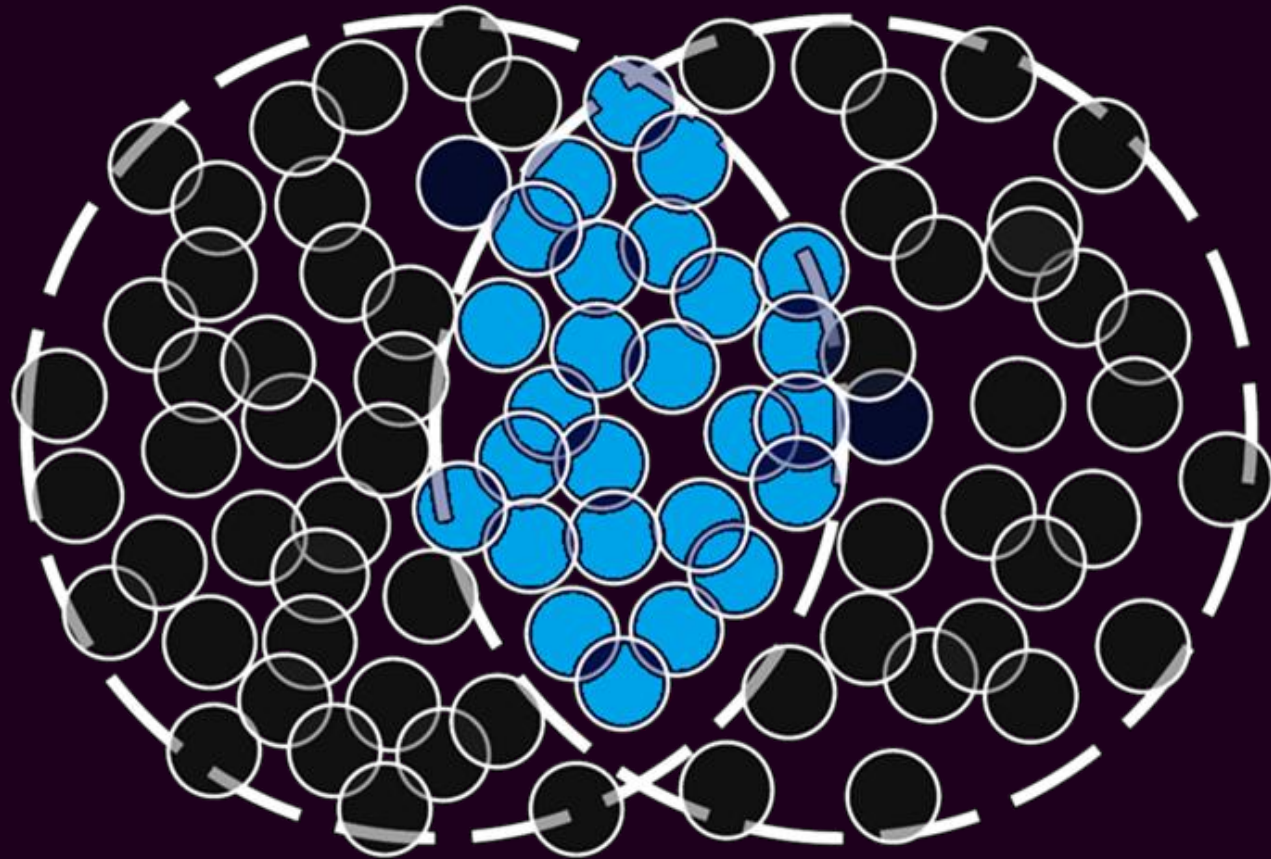
Blair Daniel Seidlitz  
Columbia University

Dec. 2nd , 2025



Light Ion Collisions  
at the LHC 2025

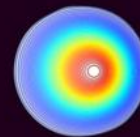
# Initial state of heavy ion collisions



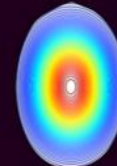
Parametrize spatial anisotropy  
Geometric eccentricity

$$\varepsilon_n = \frac{\sqrt{\langle r_i^n \cos(n\phi_i) \rangle^2 + \langle r_i^n \sin(n\phi_i) \rangle^2}}{\langle r_i^n \rangle}$$

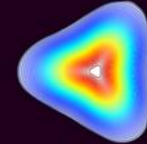
n=1



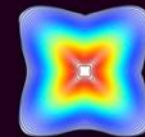
n=2



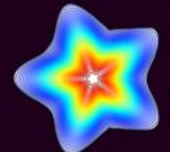
n=3

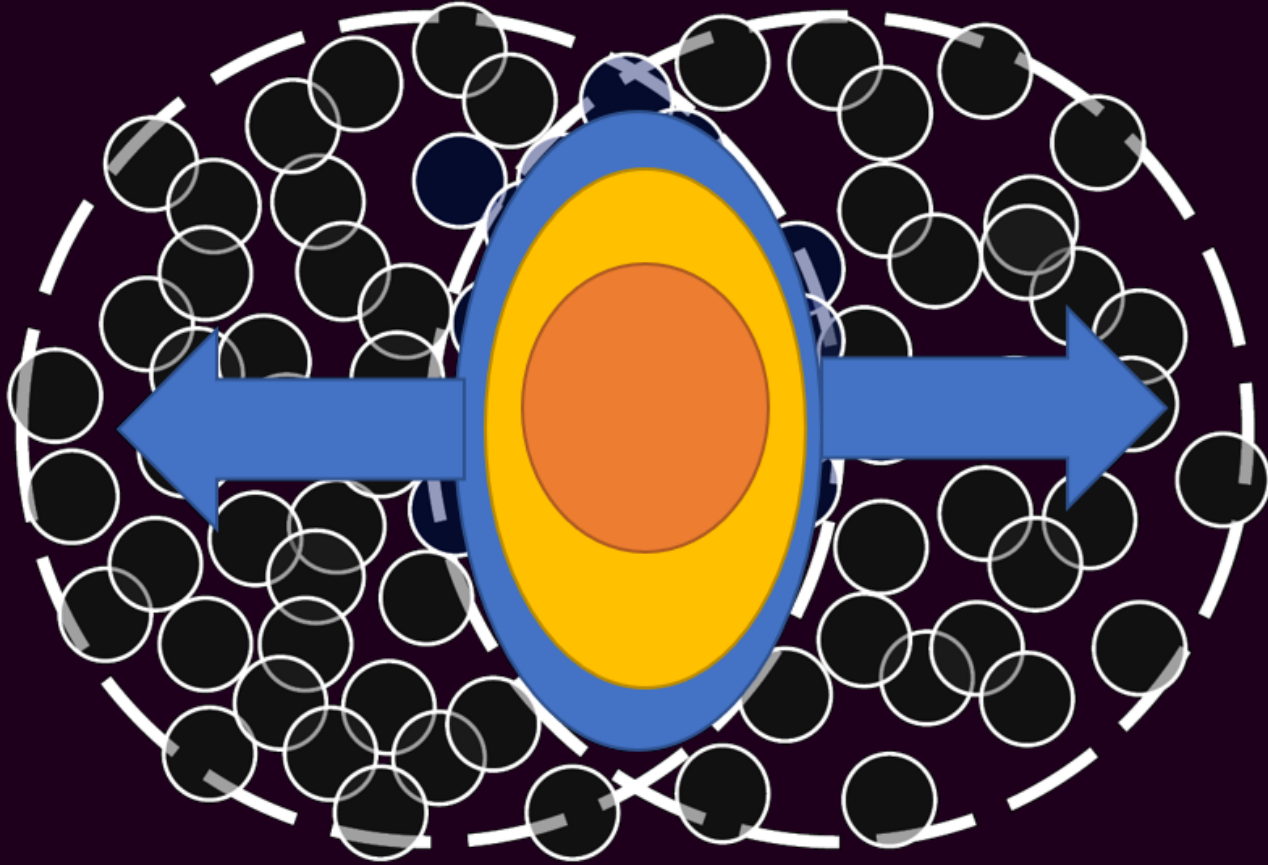


n=4



n=5





Parametrize spatial anisotropy

Geometric eccentricity

$$\epsilon_n = \frac{\sqrt{\langle r_i^n \cos(n\phi_i) \rangle^2 + \langle r_i^n \sin(n\phi_i) \rangle^2}}{\langle r_i^n \rangle}$$

Viscous Hydrodynamics

$$T^{\mu\nu} = \epsilon u^\mu u^\nu + P[\epsilon] \Delta^{\mu\nu} - \eta[\epsilon] \sigma^{\mu\nu} - \zeta[\epsilon] \Delta^{\mu\nu} \nabla_\lambda^\perp u^\lambda$$

Equation of state  
transport coefficients  $P[\epsilon]$   $\eta[\epsilon]$   $\zeta[\epsilon]$ .

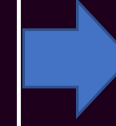
Initial state



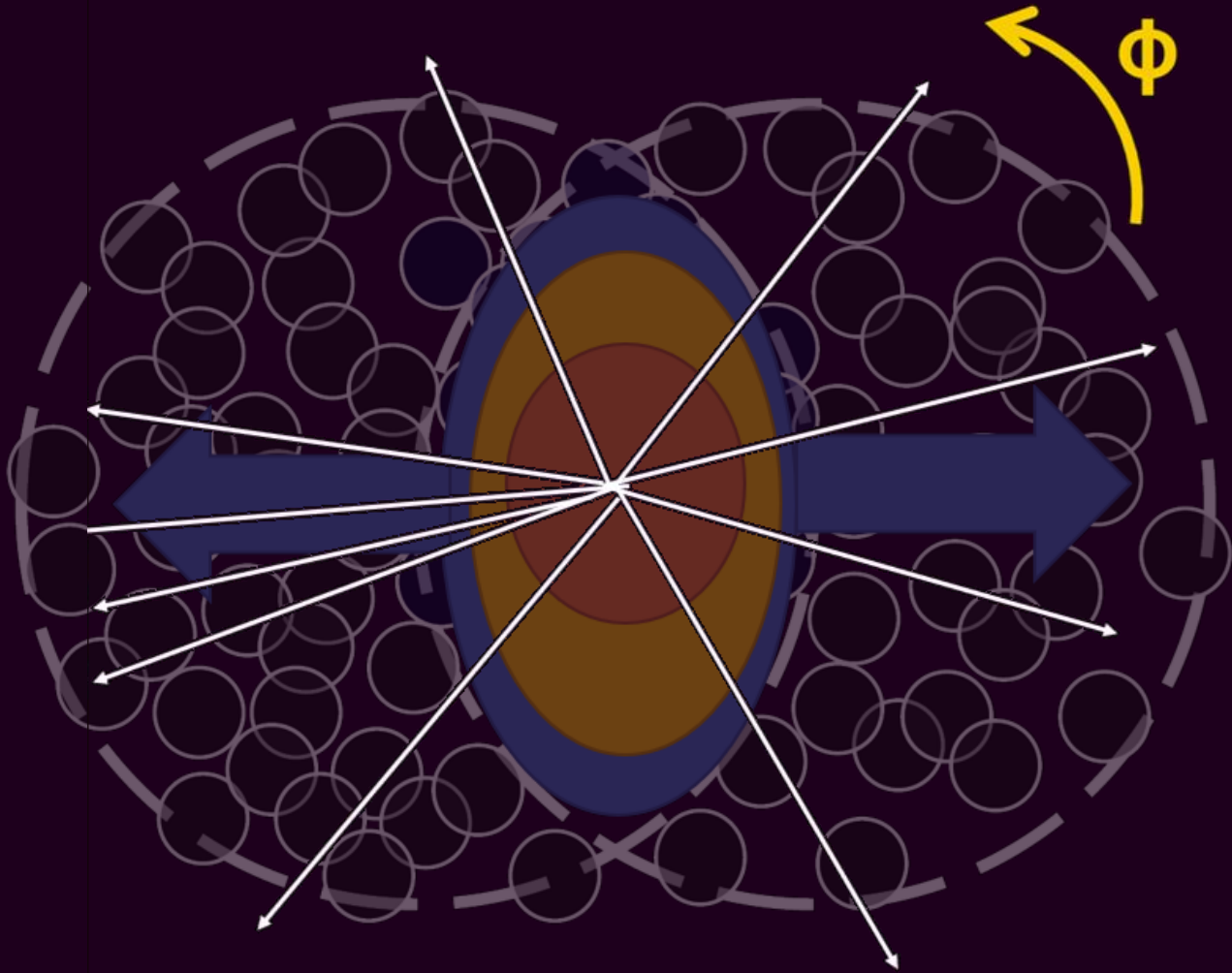
Pre-equilibrium  
dynamics



Hydrodynamic  
expansion



Momentum  
anisotropy



Parametrize spatial anisotropy  
Geometric eccentricity

$$\varepsilon_n = \frac{\sqrt{\langle r_i^n \cos(n\phi_i) \rangle^2 + \langle r_i^n \sin(n\phi_i) \rangle^2}}{\langle r_i^n \rangle}$$

Viscous Hydrodynamics

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Equation of state  
transport coefficients  $P[\epsilon]$   $\eta[\epsilon]$   $\zeta[\epsilon]$ .

Azimuthal Momentum anisotropy

$$\frac{dN}{d\phi} \propto 1 + 2v_1 \cos(\phi) + 2v_2 \cos(2\phi) + 2v_3 \cos(3\phi) + \dots$$

Initial state

$\varepsilon_n$

Pre-equilibrium  
dynamics

Hydrodynamic  
expansion

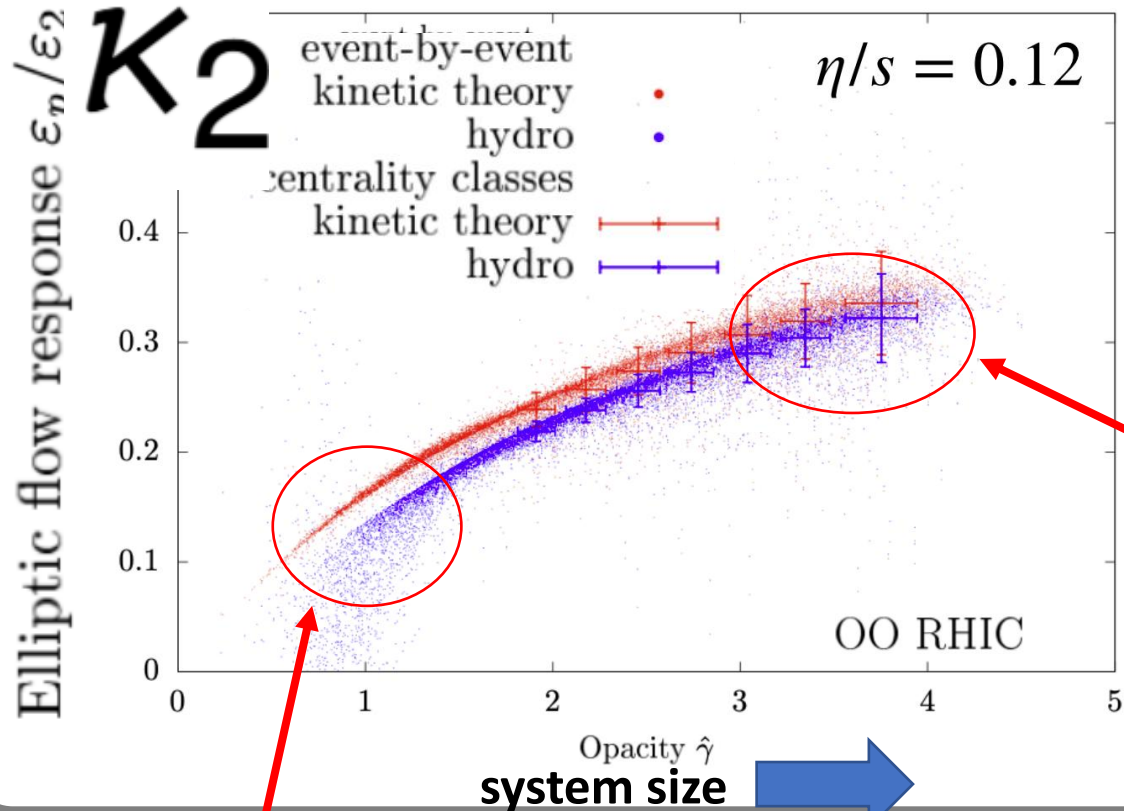
Momentum  
anisotropy

$v_n$

$$v_n \simeq \kappa_n \varepsilon_n$$

# Break down of hydrodynamics in small systems

Schlichting, Werthmann



Azimuthal anisotropy is a response to geometry

$$V_n \simeq K_n \epsilon_n$$

Event by event calculation of kappa for **hydrodynamics** and **kinetic theory**

The two models converge at large system size

Break down of hydro at small system size

Explore hot QCD

Can we gain experimental sensitivity to far-from-equilibrium dynamics

# Need precise control of geometry

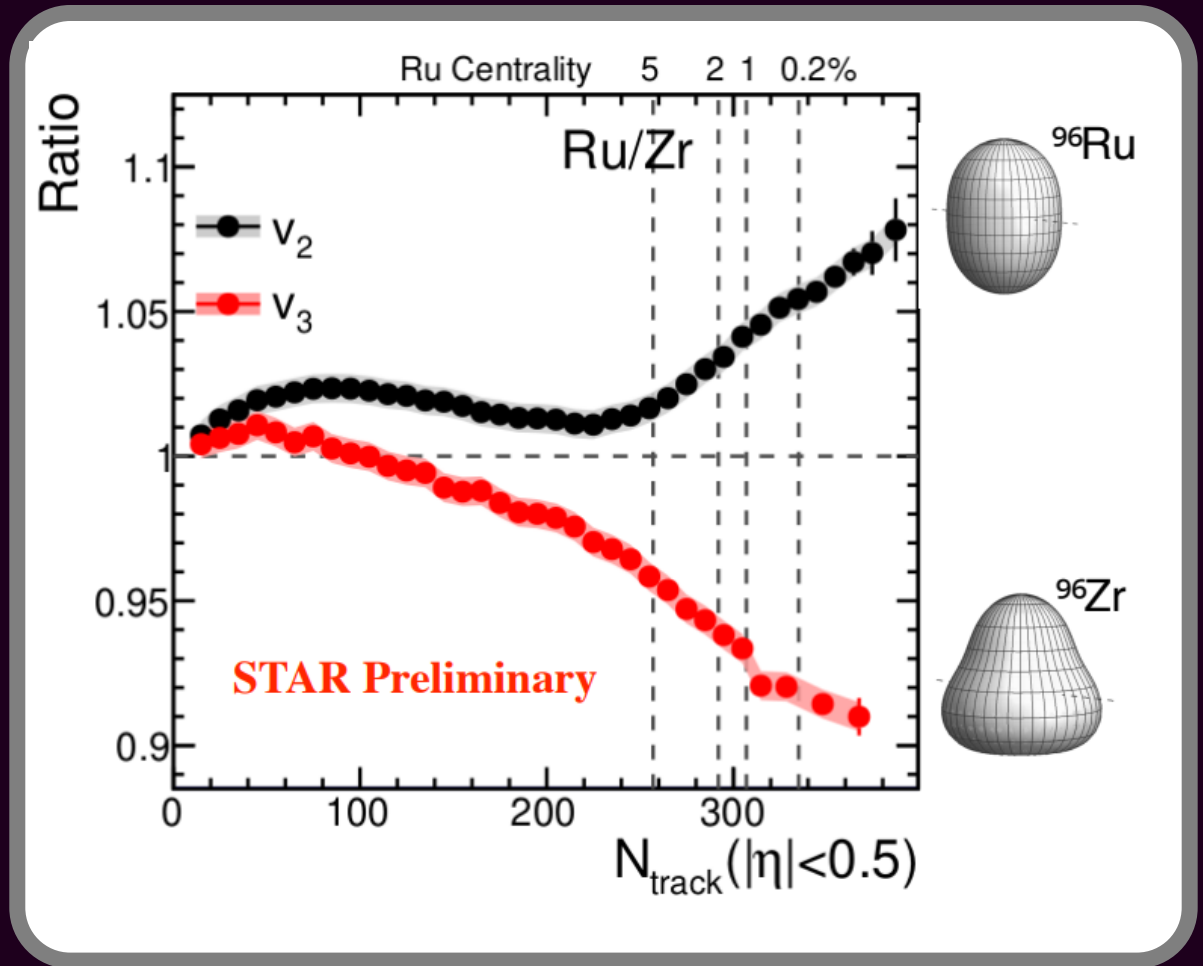
Can we obtain precise control of initial-state geometry

**Test:** similar size system with drastically different geometry

This control has been achieved in large systems, like Ru+Ru & Zr+Zr

Geometric effect most pronounced in the top 5% or **ultracentral collisions UCCs**

Can we achieve it in light ions



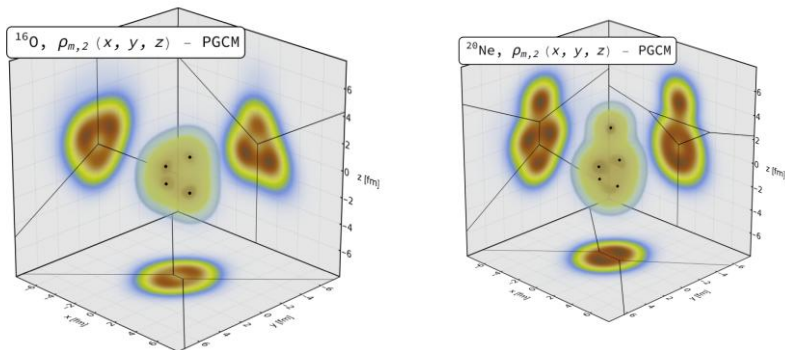
# Need precise control of geometry

Test: similar size system with drastically different geometry

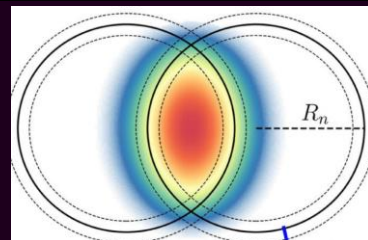
$^{20}\text{Ne}+^{20}\text{Ne}$  &  $^{16}\text{O}+^{16}\text{O}$  @ 5.36 TeV

*Ab initio* nuclear structure calculations in light ions

*Ab initio* calculations:  
NLEFT & PGCM



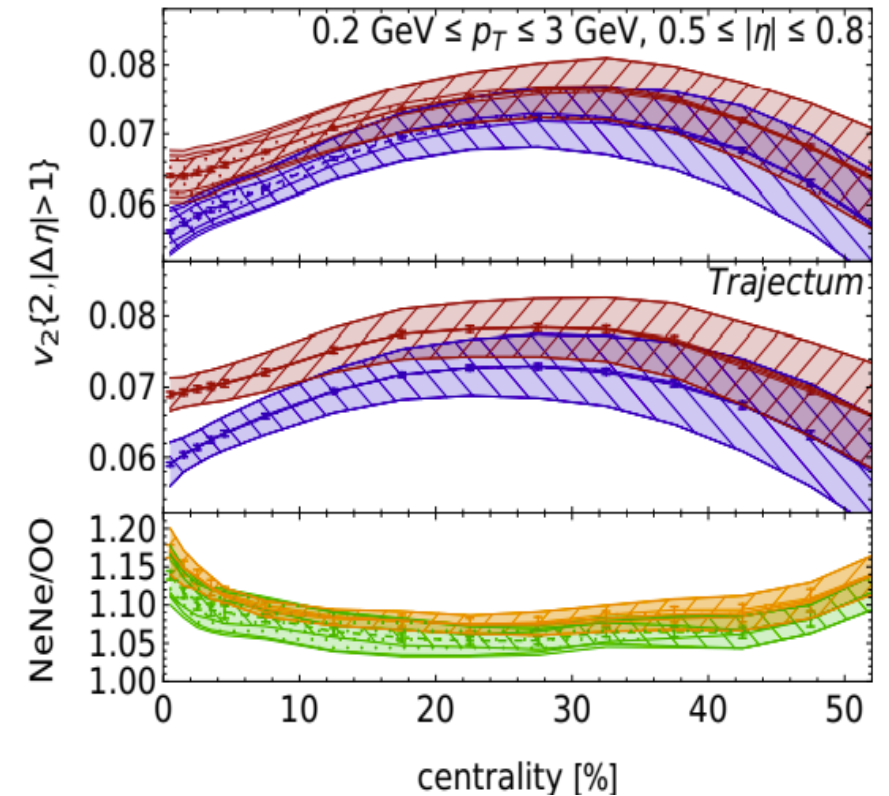
TRENTo



+ Hydro...



arXiv:2402.05995

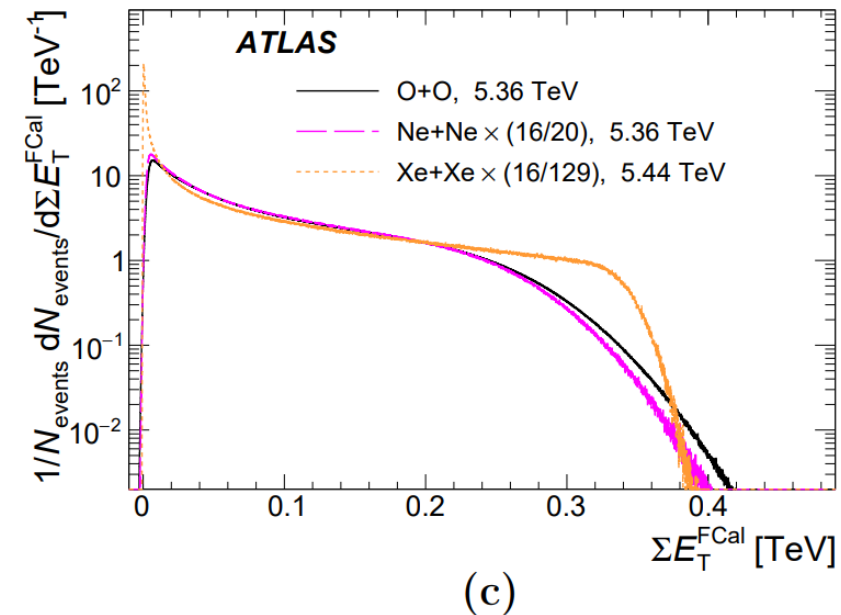
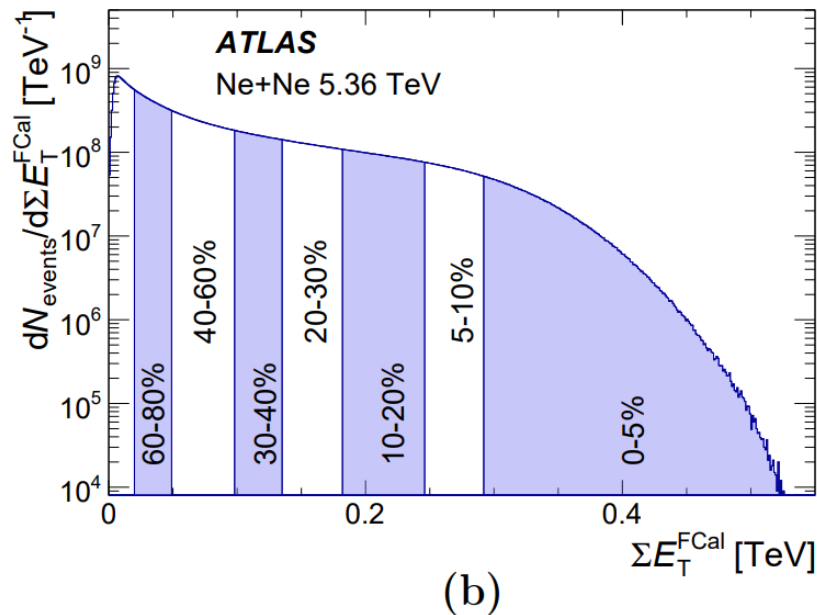
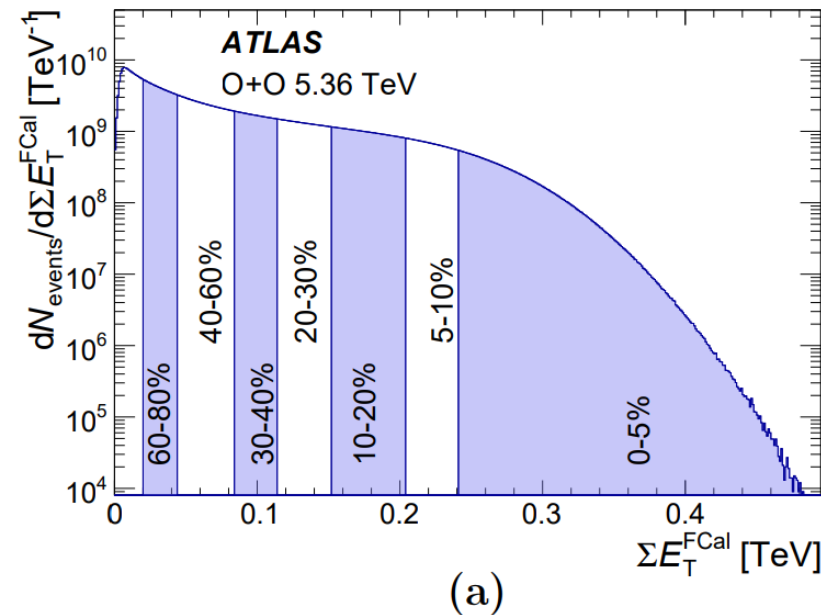


# Centrality and particle production

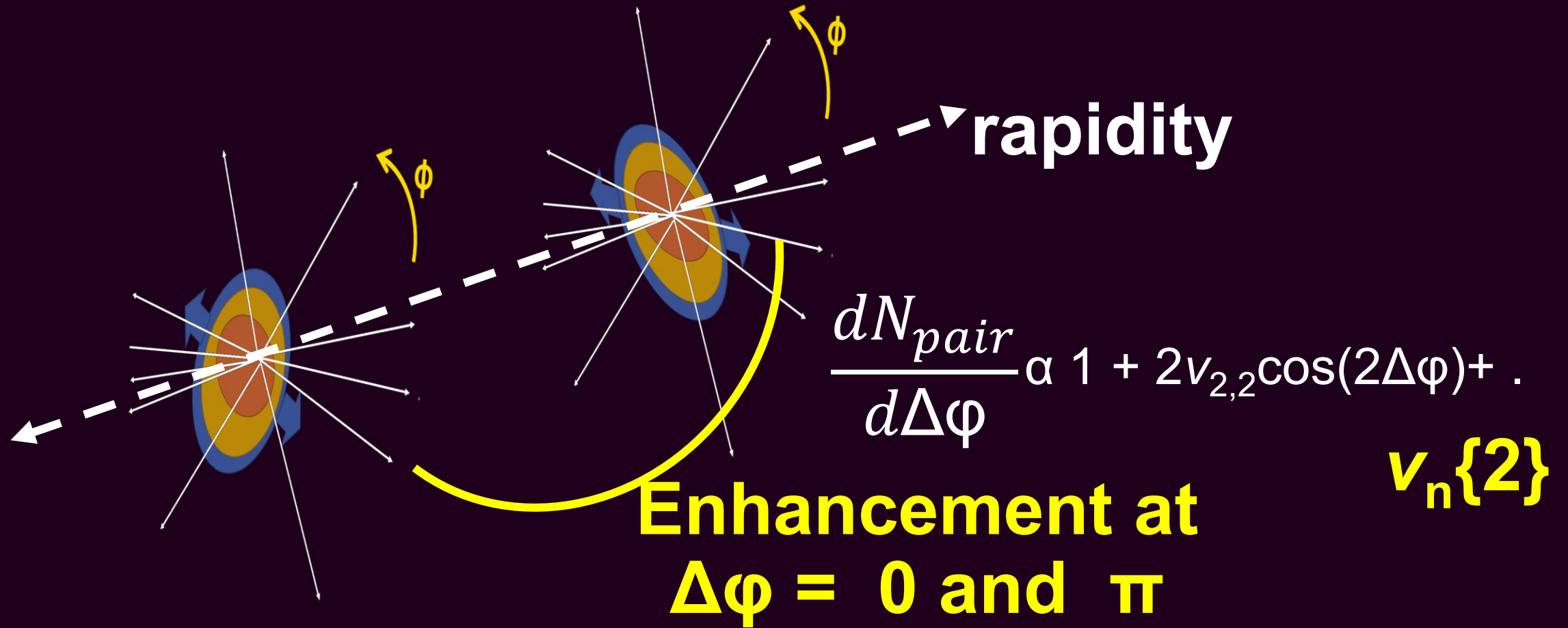
- Event energy in the forward calorimeter ( $3.2 < |\eta| < 4.9$ )
- Glauber-based fit with contributions from  $N_{\text{coll}}$  and  $N_{\text{part}}$
- Centrality percentiles are defined for 80% or greater
- Right.  $\Sigma E_{\text{T}}^{\text{FCal}}$  roughly scales with  $A$

$$\Sigma E_{\text{T}}^{\text{FCal}}$$

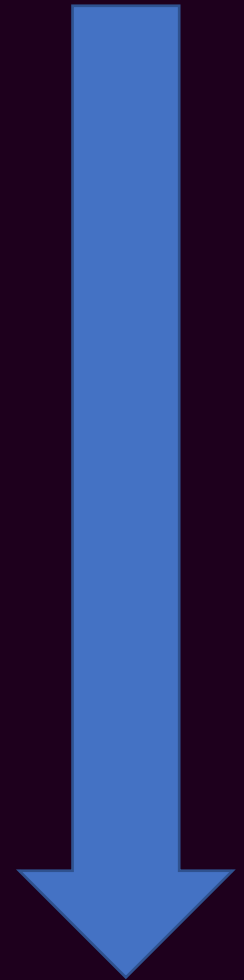
arXiv:2509.05171



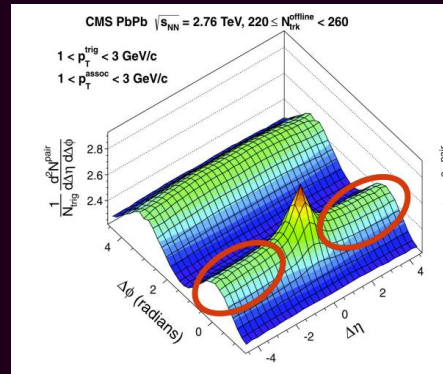
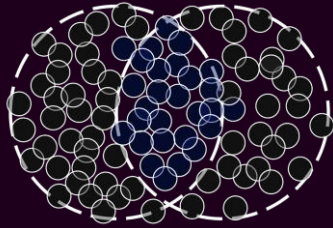
# Two-particle correlations



# System size



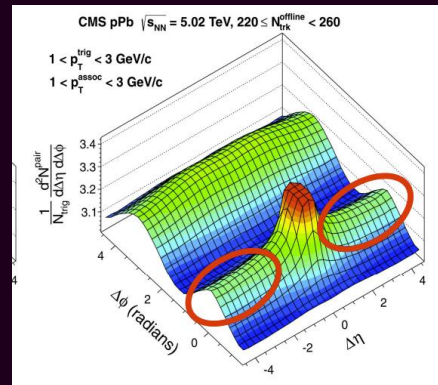
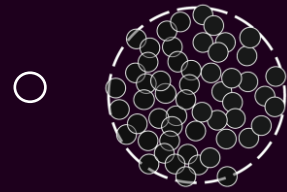
Pb+Pb



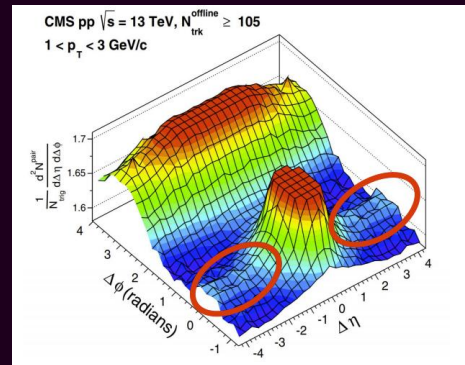
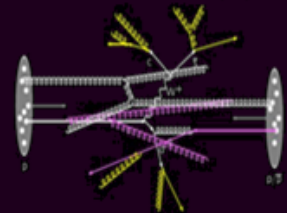
$^{16}\text{O}$  +  $^{16}\text{O}$



p+Pb



pp

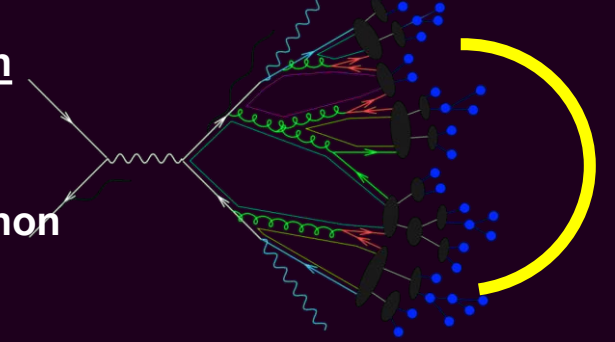


## Momentum conservation

Jets & particle decays

Termed "nonflow"

Not collective phenomenon

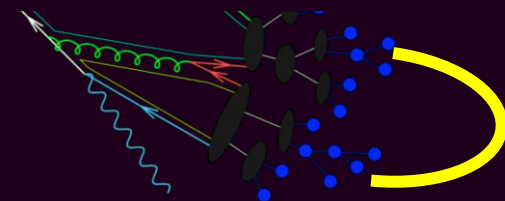
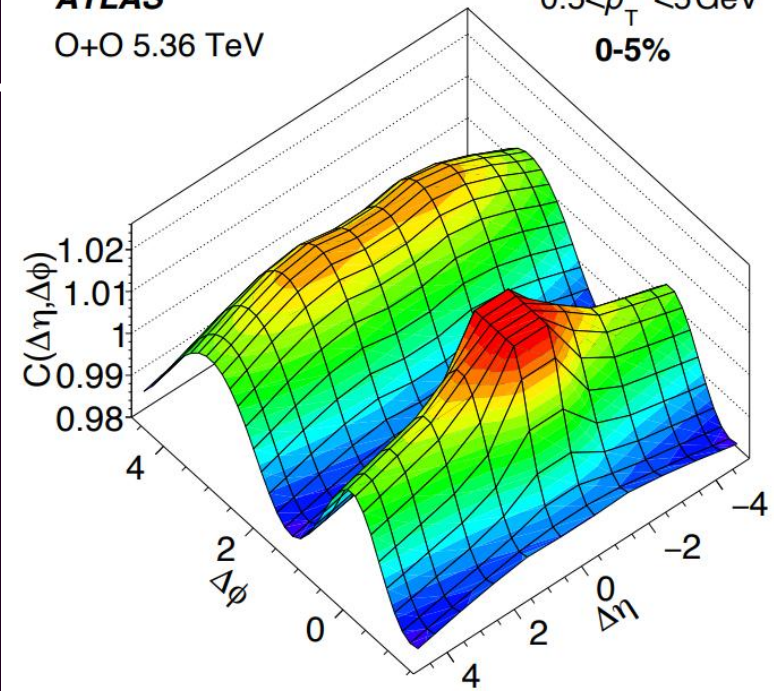


ATLAS

O+O 5.36 TeV

$0.5 < p_T^{a,b} < 5$  GeV

0-5%



$\Delta\phi < 2$   
 $\Delta\eta < 2$

# Removing non-flow effects in 2PC

arXiv:2509.05171

Fit correlation with a superposition of flow terms and nonflow template (peripheral collisions)

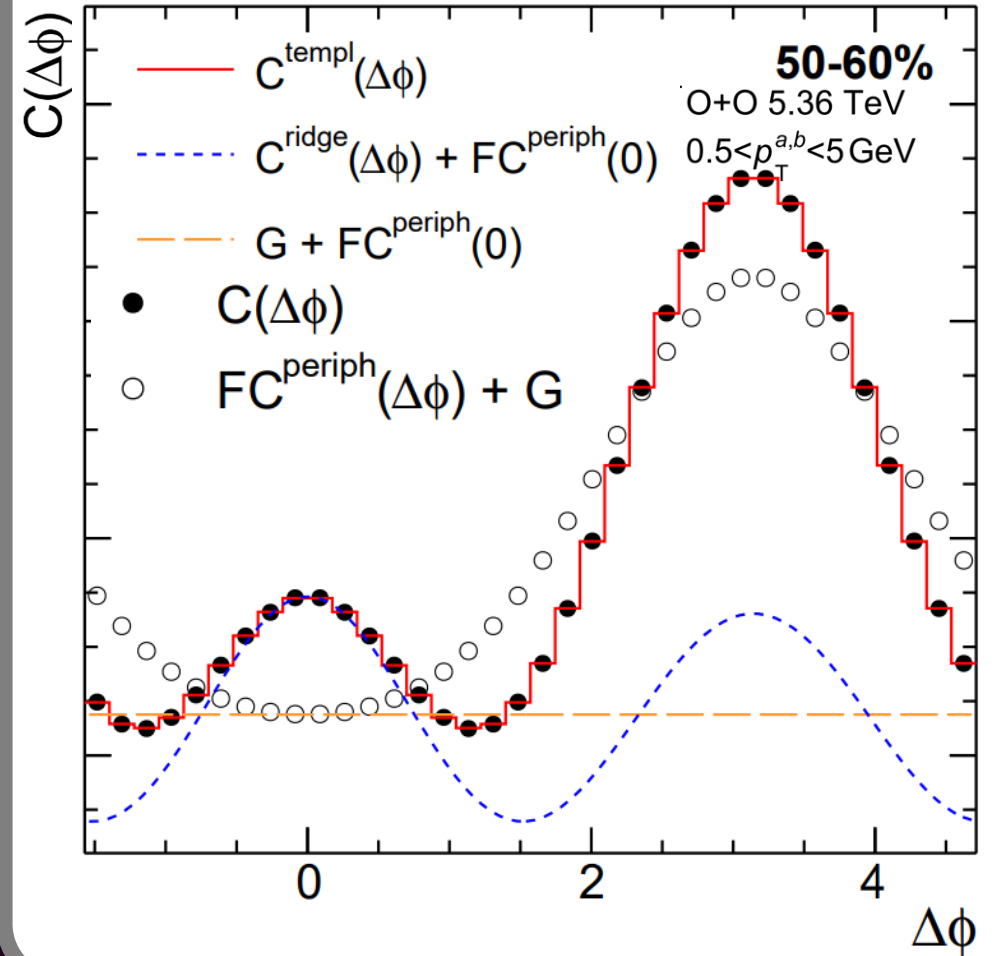
## Nonflow subtraction

- High multiplicity (HM) fit with peripheral (LM) data and flow coef.
- HM and LM assumed to have same nonflow shape
- Different LM selections leads to similar results

$$C(\Delta\phi) = FC^{\text{periph}}(\Delta\phi) + G \left[ 1 + 2 \sum_{n=2}^5 v_{n,n}(p_T^a, p_T^b) \cos(n\Delta\phi) \right]$$

**For  $v_n(p_T)$  results**

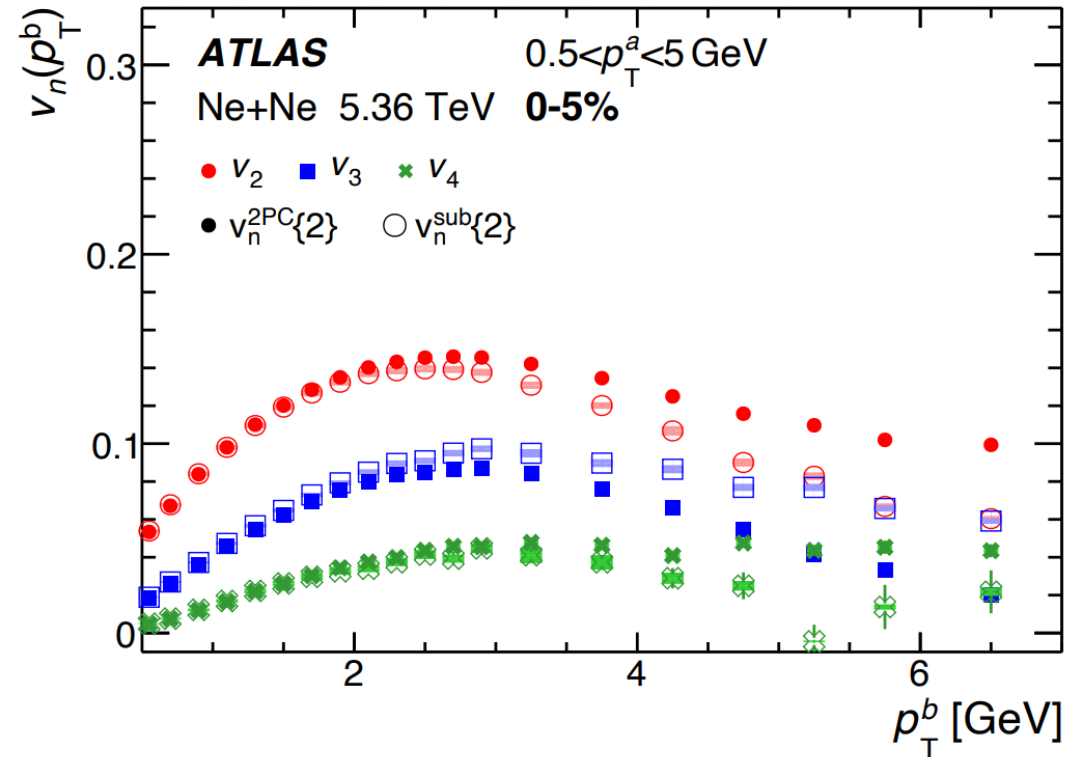
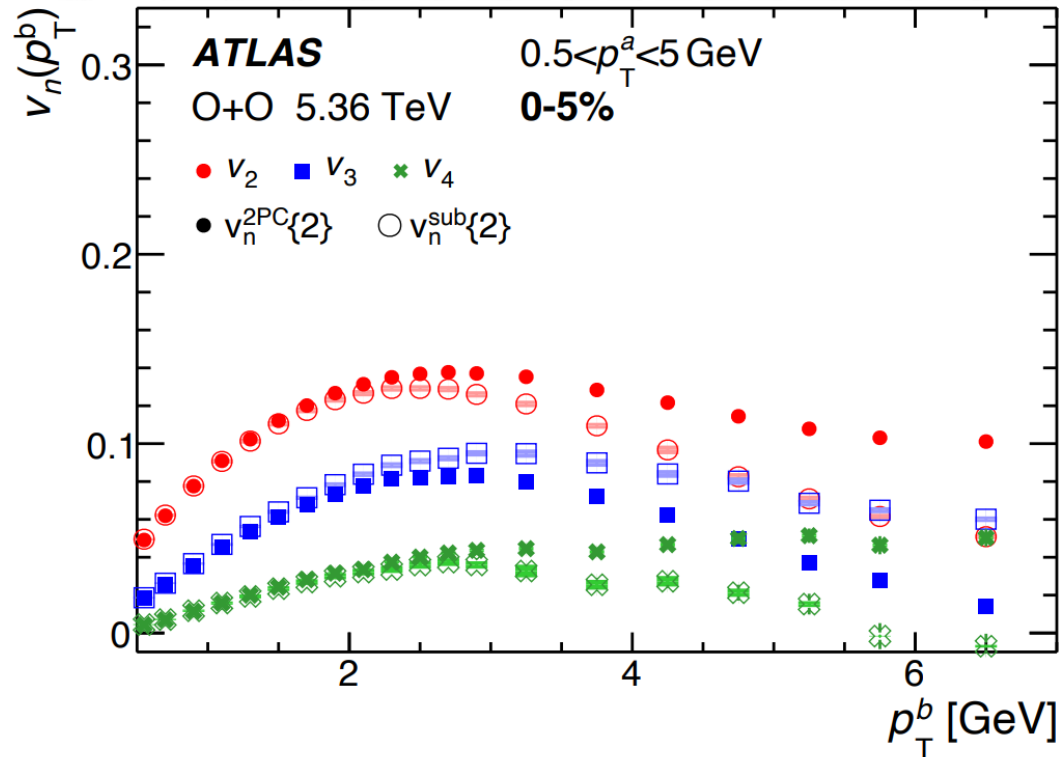
$$v_n(p_T^b) = \frac{v_{n,n}(p_T^a, p_T^b)}{v_n(p_T^a)} = \frac{v_{n,n}(p_T^a, p_T^b)}{\sqrt{v_{n,n}(p_T^a, p_T^a)}}$$



Non-negligible effects from non-flow

# 2PC $v_n\{2\}$

arXiv:2509.05171



Clear hierarchy between flow harmonics:  $v_2 > v_3 > v_4$

Strong influence of non-flow beyond 3 GeV

Qualitatively similar to observations from large systems

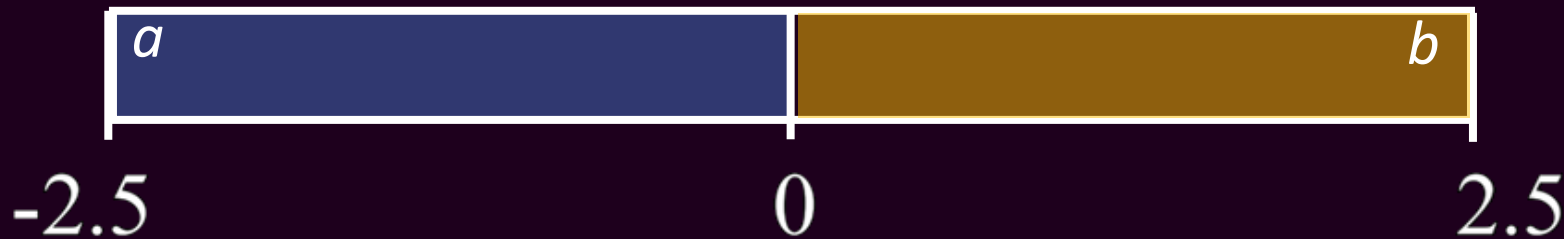
# 4-particle cumulant measurement

- Four-particle correlations are sensitive to the event-by-event  $v_n$  fluctuations in a different way than two-particle correlations

$$v_n \{4\}^2 = \bar{x}_n^2, \quad \text{where: } \bar{x}_n \equiv \text{Geometric Component}$$

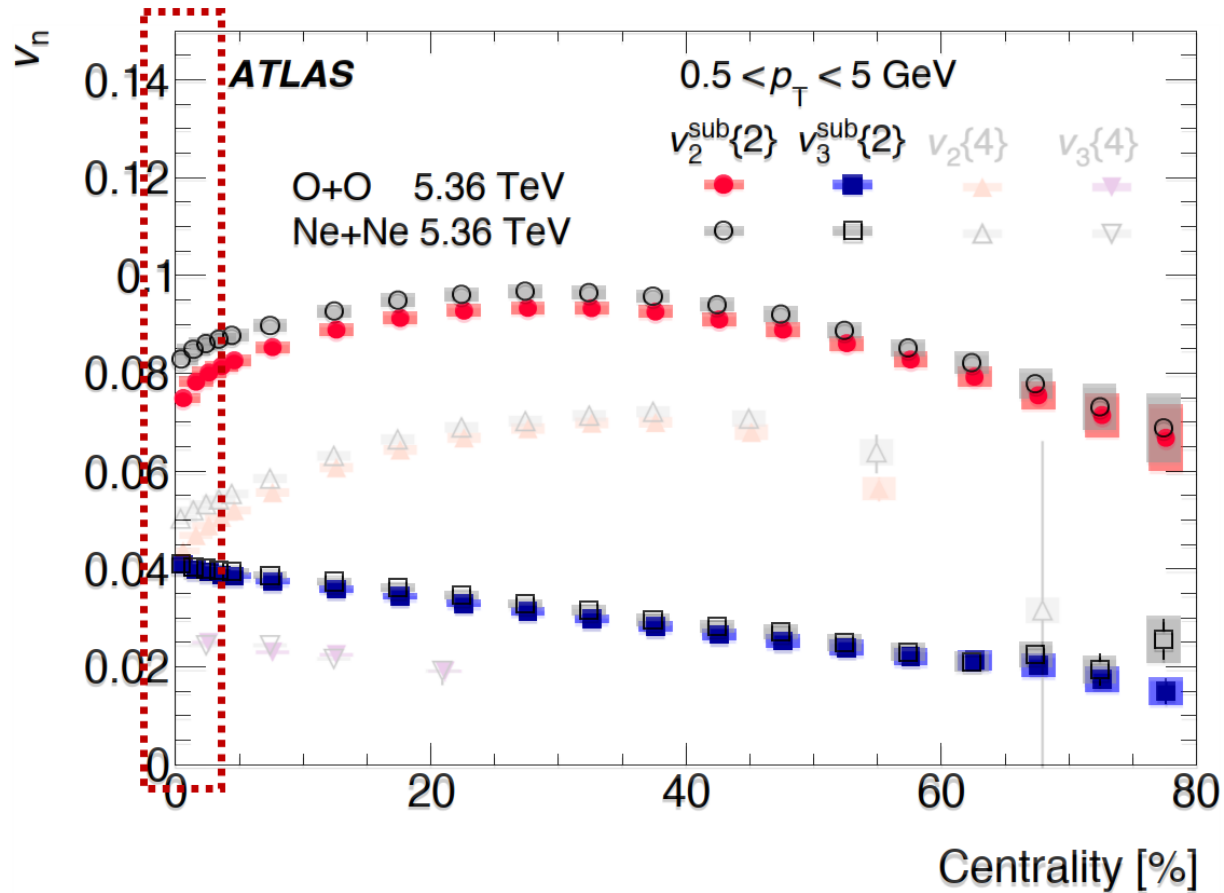
$$v_n^{\text{sub}} \{2\}^2 = \bar{x}_n^2 + \Delta_n^2 \quad \Delta_n \equiv \text{Fluctuation Component}$$

- Use sub-events to suppress nonflow
  - Tracks are selected from different regions in  $\eta$  to suppress short-range correlations
  - Shown, two-subevent result (checked 3 and 4 subevents, non-flow suppressed well with 2 subevents)



Measure  $v_n \{4\}$  as well, for deeper look at geometry

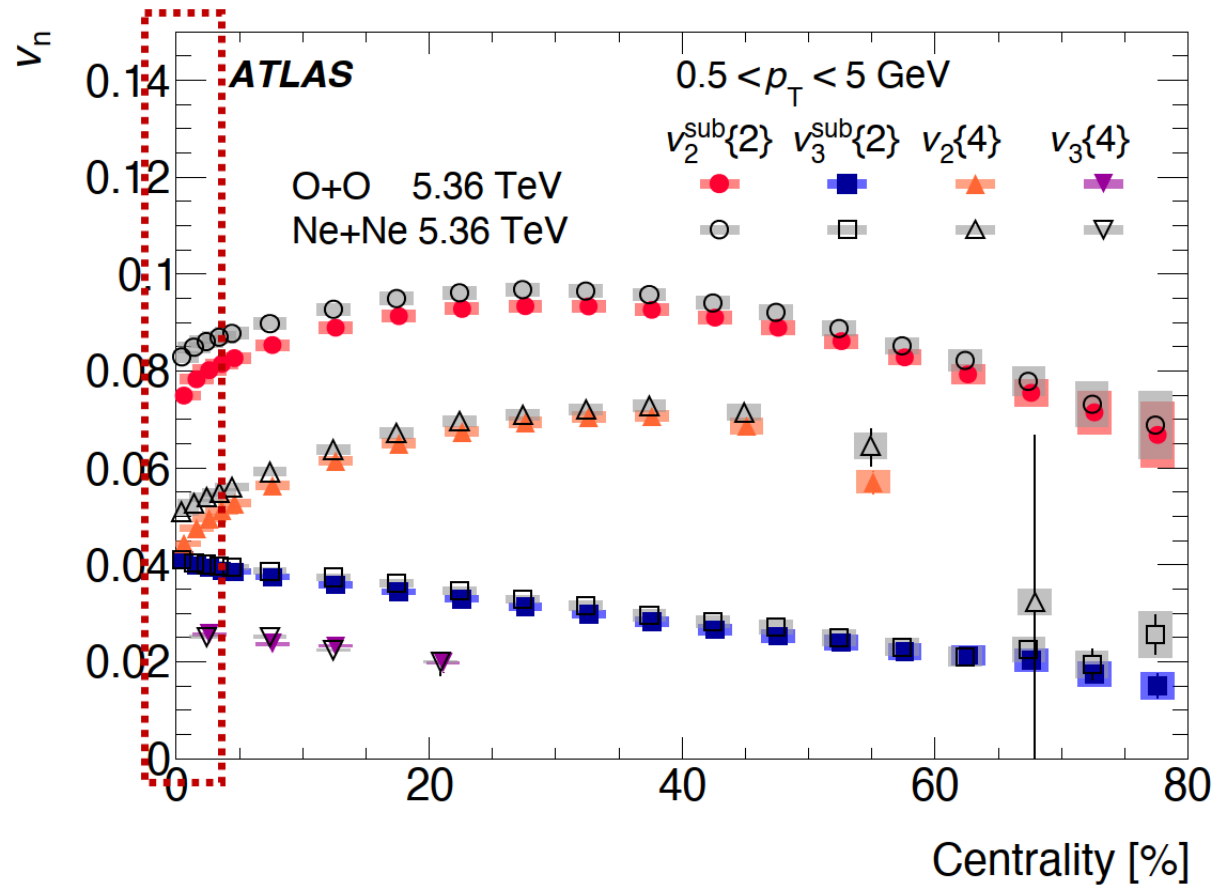
# Centrality differential $v_n\{k\}$ results



- $v_2\{2\}$  is larger for NeNe than OO
- $v_3\{2\}$  is also larger at fixed centrality

arXiv:2509.05171

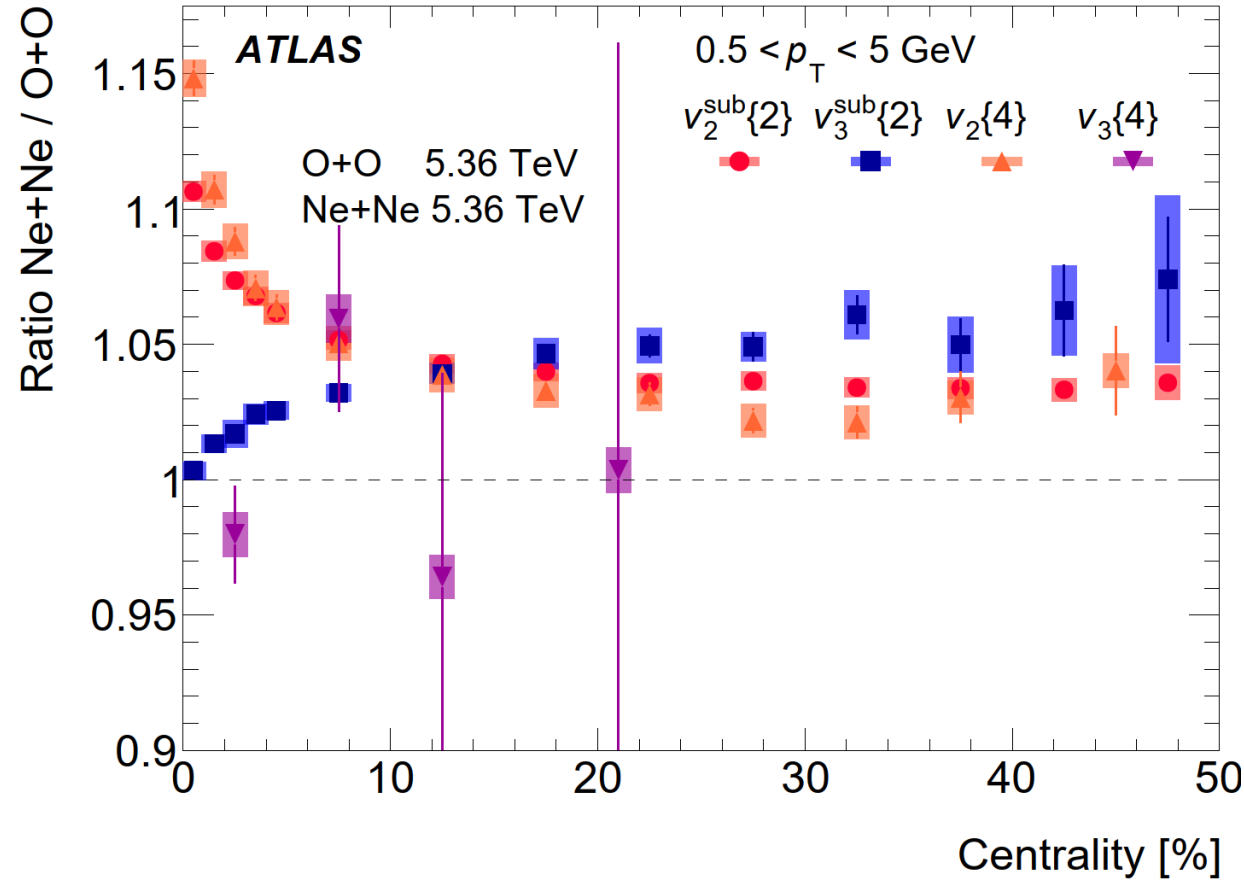
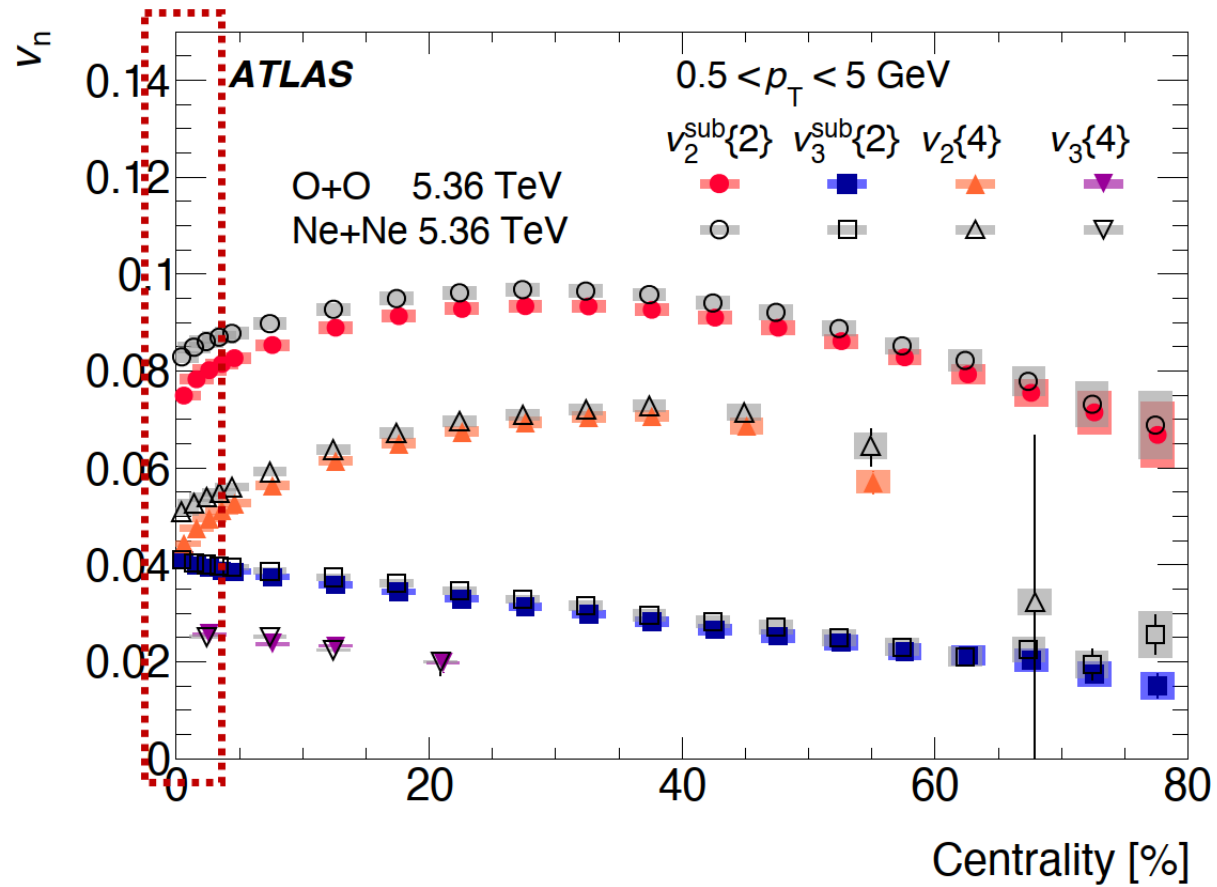
# Centrality differential $v_n\{k\}$ results



- $v_2\{2\}$  is larger for NeNe than OO
- $v_3\{2\}$  is also larger at fixed centrality
- $v_n\{4\}$  lower than  $v_n\{2\}$  due to large fluctuation component in  $v_n$

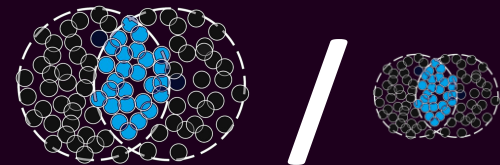
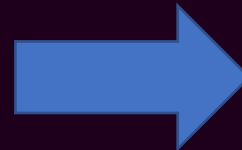
arXiv:2509.05171

# $v_n\{k\}$ NeNe / O+O ratios



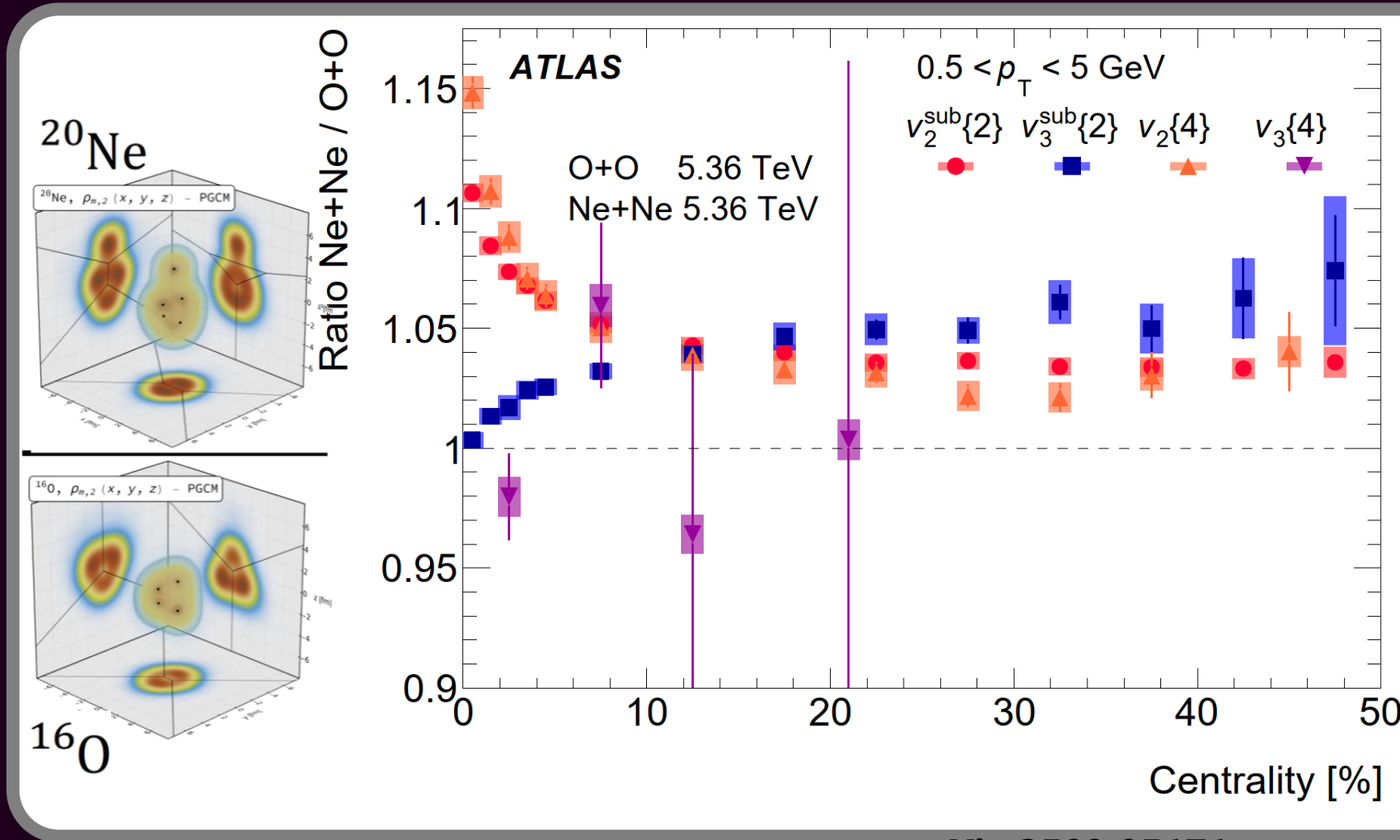
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Ratio  
 Ne+Ne / O+O



# $v_n\{k\}$ NeNe / OO ratios

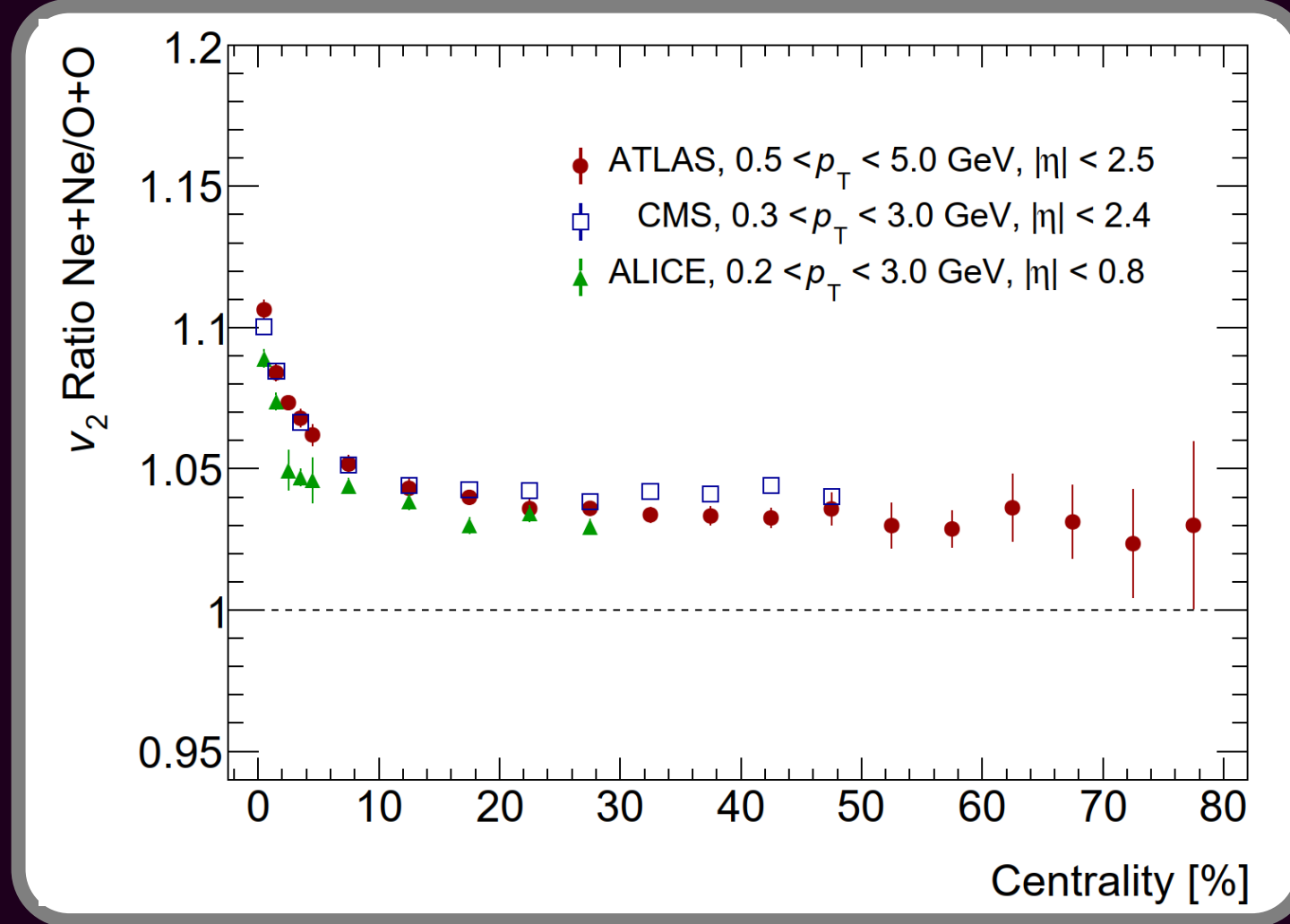
- $v_2\{k\}$  enhancement in NeNe  $\rightarrow$  elongated shape
- $v_2\{4\}$  ratio 15% enhanced in UCC!
- $v_3\{k\}$  ratio suppressed in central collisions  $\rightarrow$  larger triangular fluctuations in OO?
- **Very precise:**  $\sim 0.5\%$  uncertainties on  $v_{2,3}\{2\}$ !



arXiv:2509.05171

Evidence of elongated shape of neon

# Comparison of experimental results

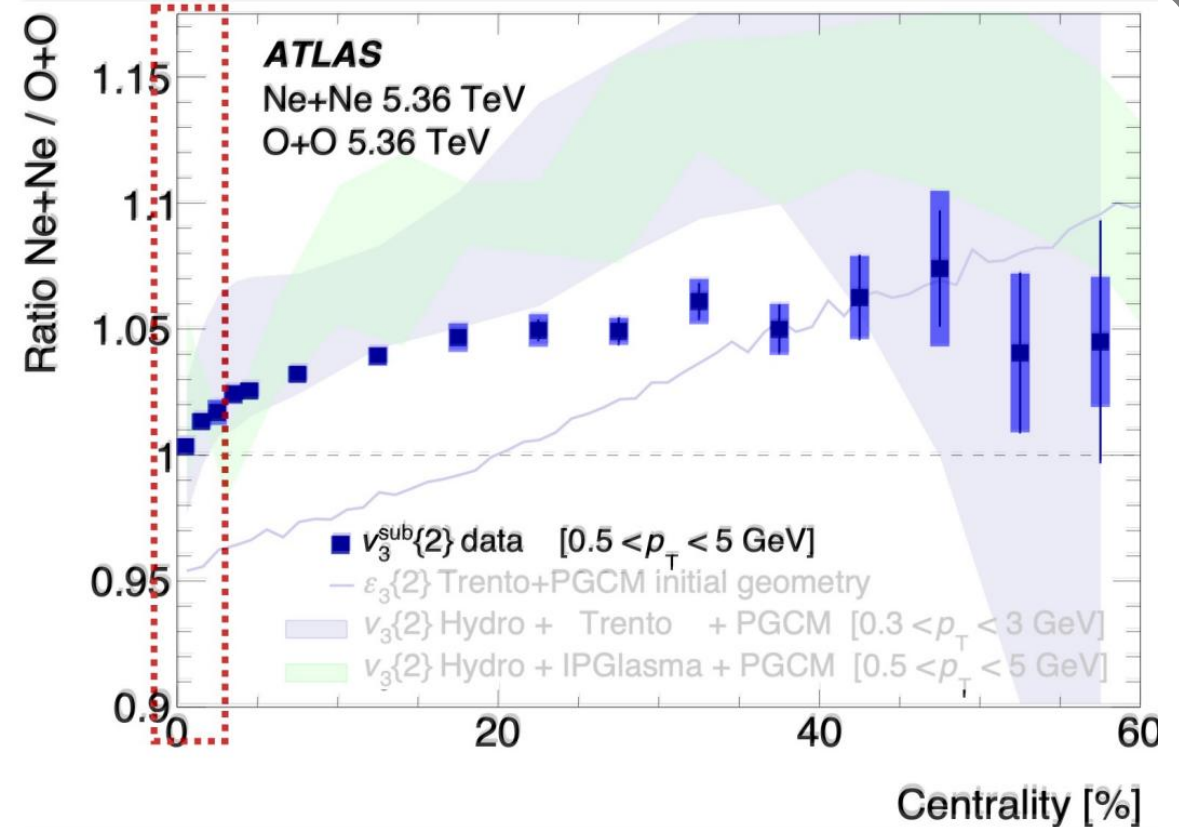
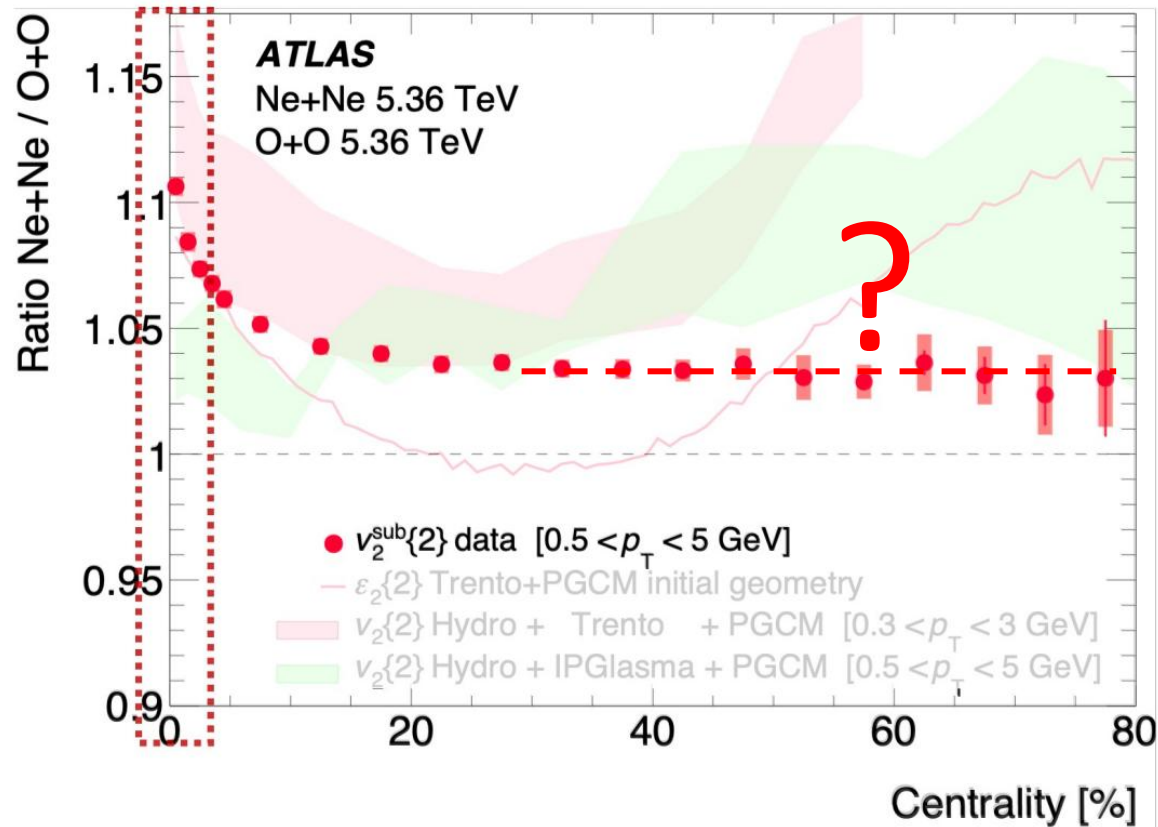


*\*overlapping  $p_T$  intervals, but not identical*

*\*CMS preliminary*

Very similar results (<1% deviation) between CMS and ATLAS  
~1% on average difference between ALICE and ATLAS/CMS. Decorrelation?

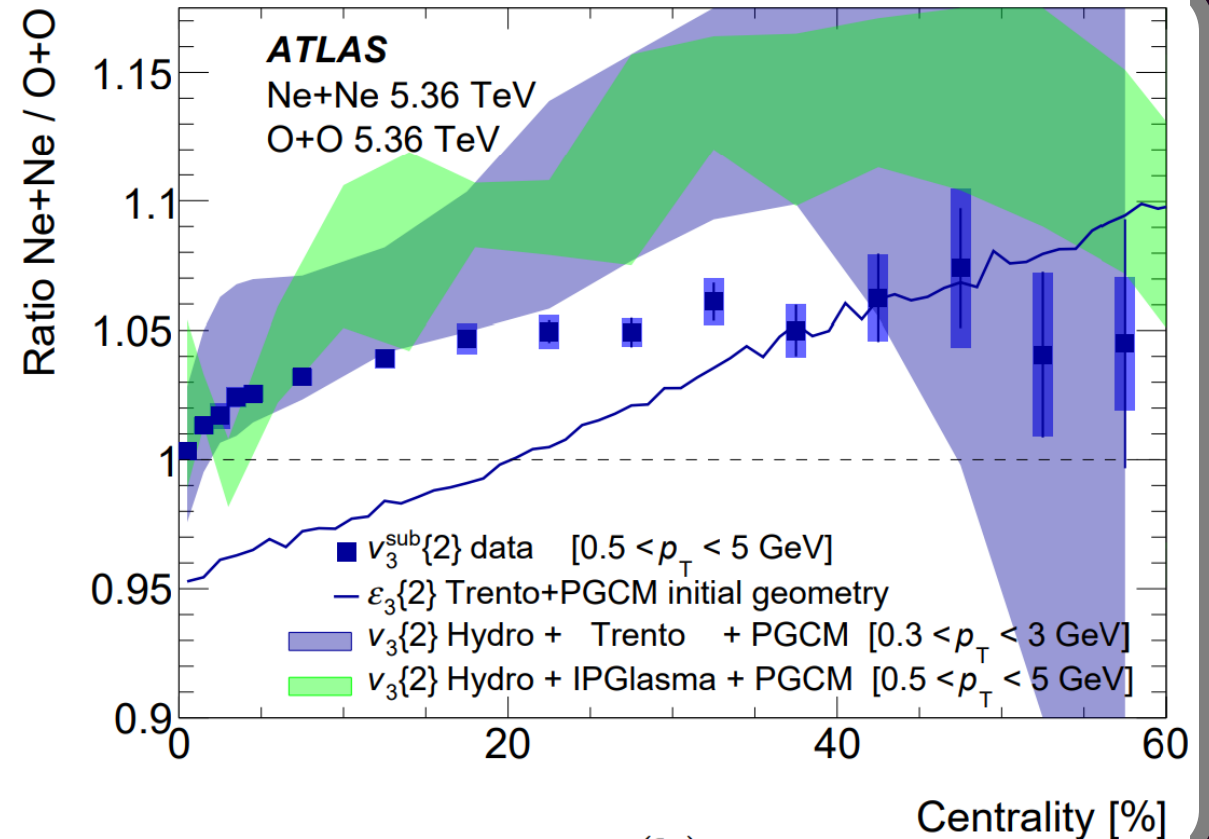
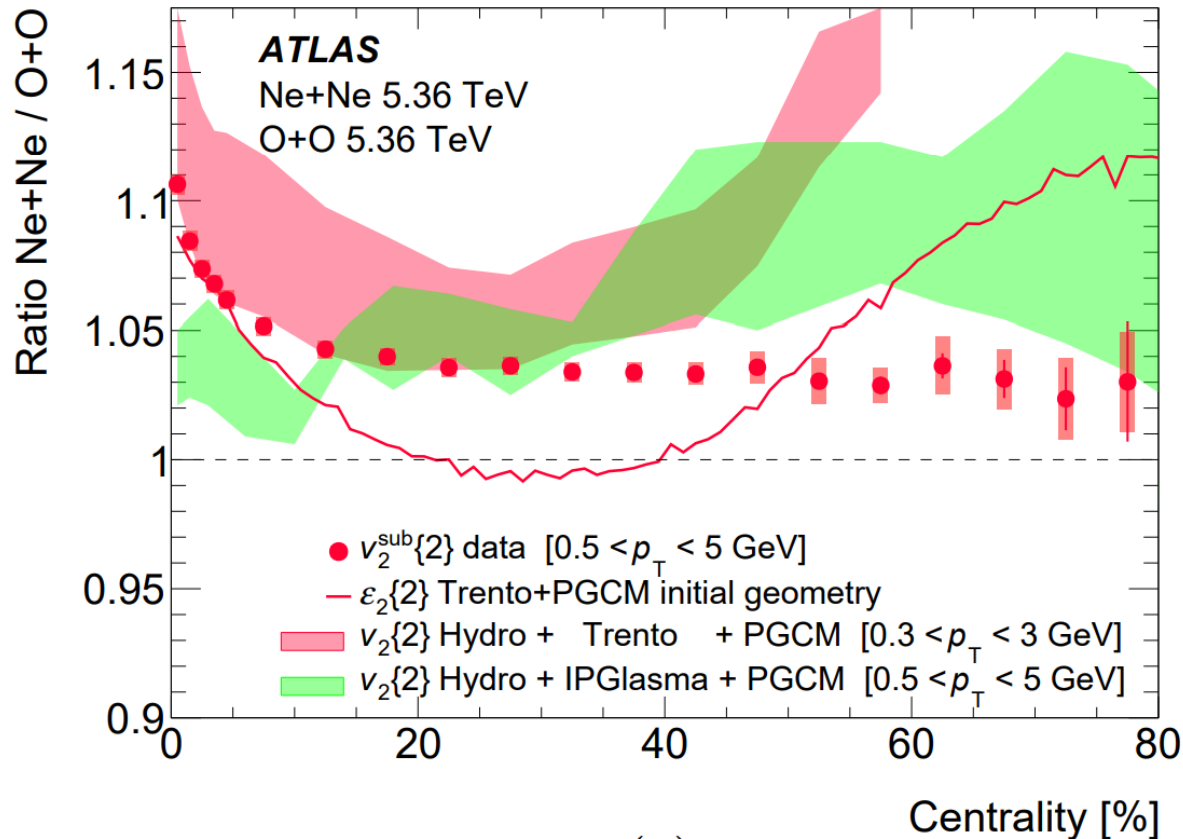
# $v_n\{2\}$ NeNe/OO theory comparisons



[arXiv:2509.05171](https://arxiv.org/abs/2509.05171)

- Flat  $v_2$  ratio from 30-80% (!) unexpected from geometry predictions

# $v_n\{2\}$ NeNe/OO theory comparison

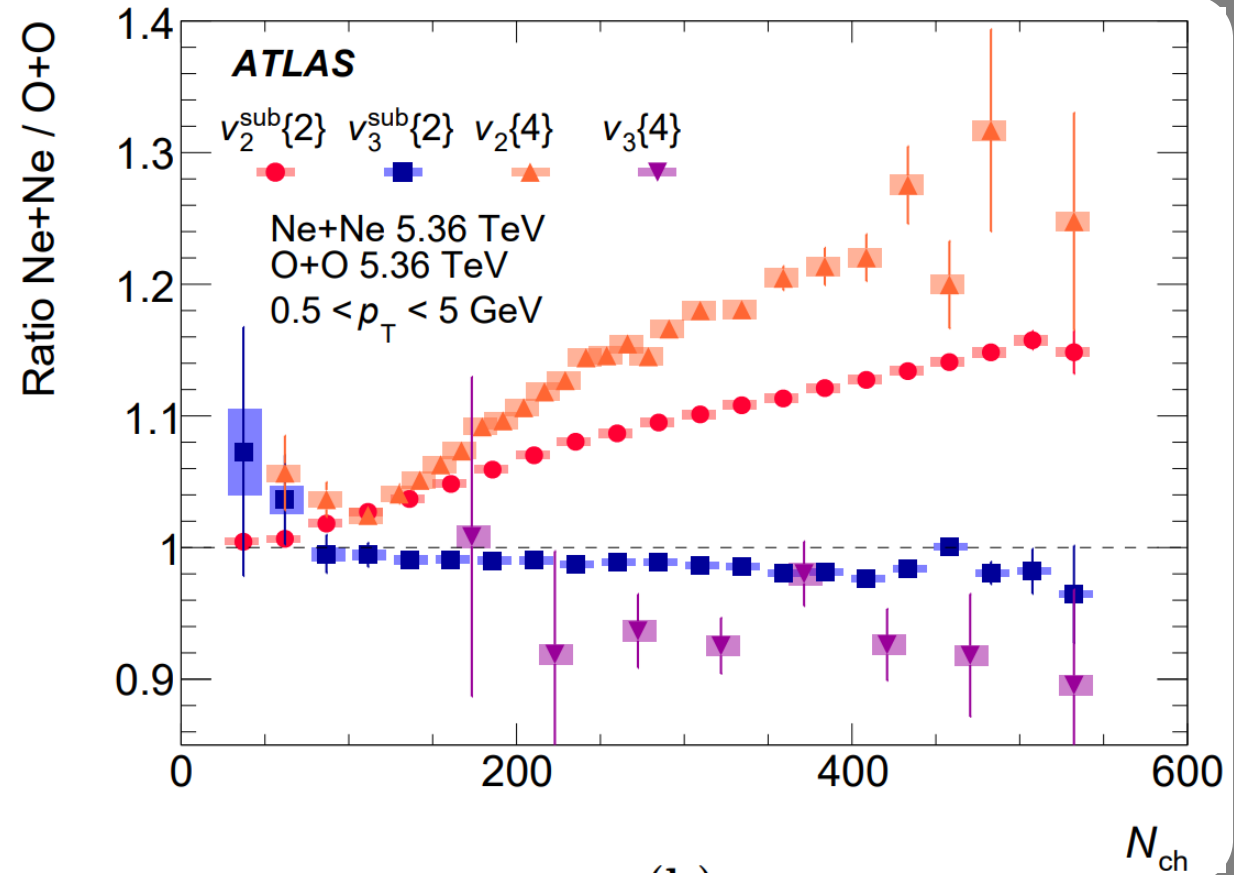
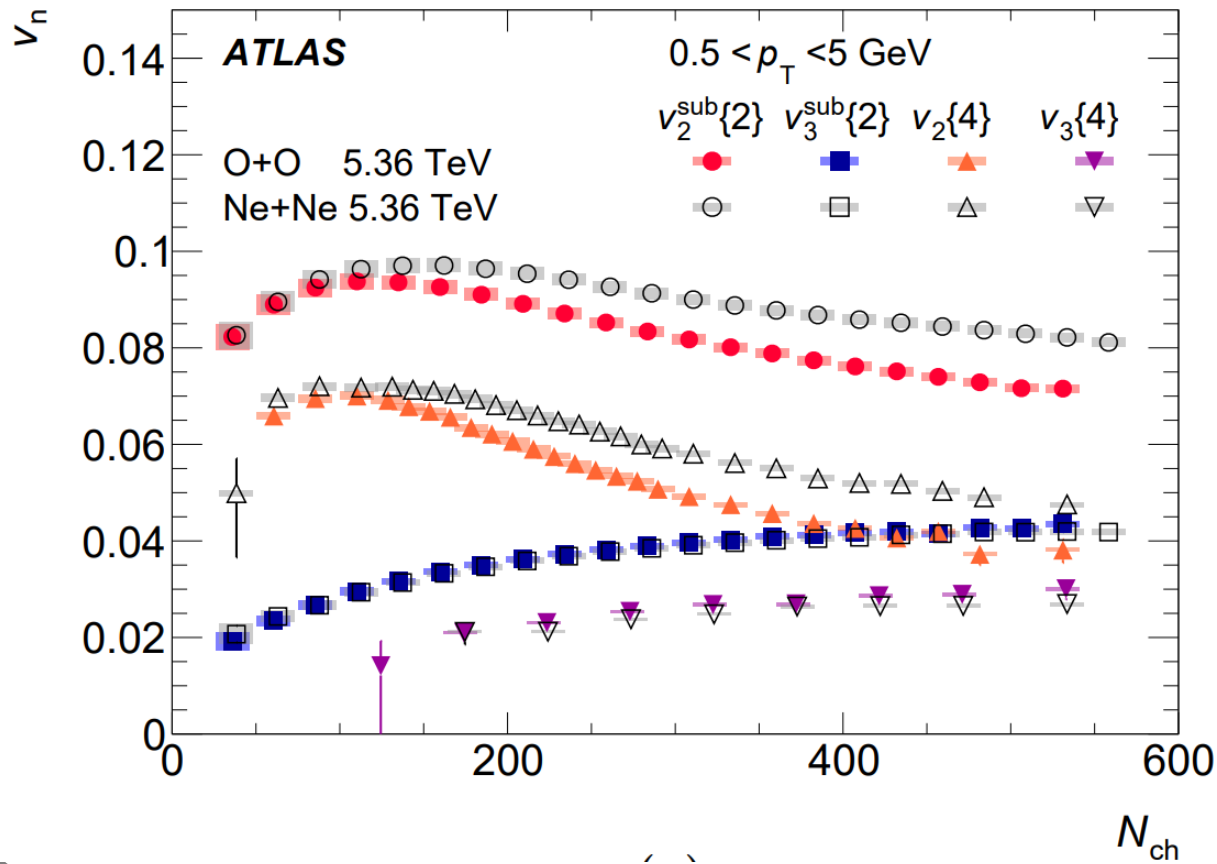


[arXiv:2509.05171](https://arxiv.org/abs/2509.05171)

- Hydro+IPGlasma+PGCM
  - IPGLASMA with JIMWLK evolution has enhanced multiplicity fluctuations, leading to a reduced correlation between the final-state centrality measure and geometry
- Hydro+Trento+PGCM: reproduces UCC rise, but over-predicts peripheral

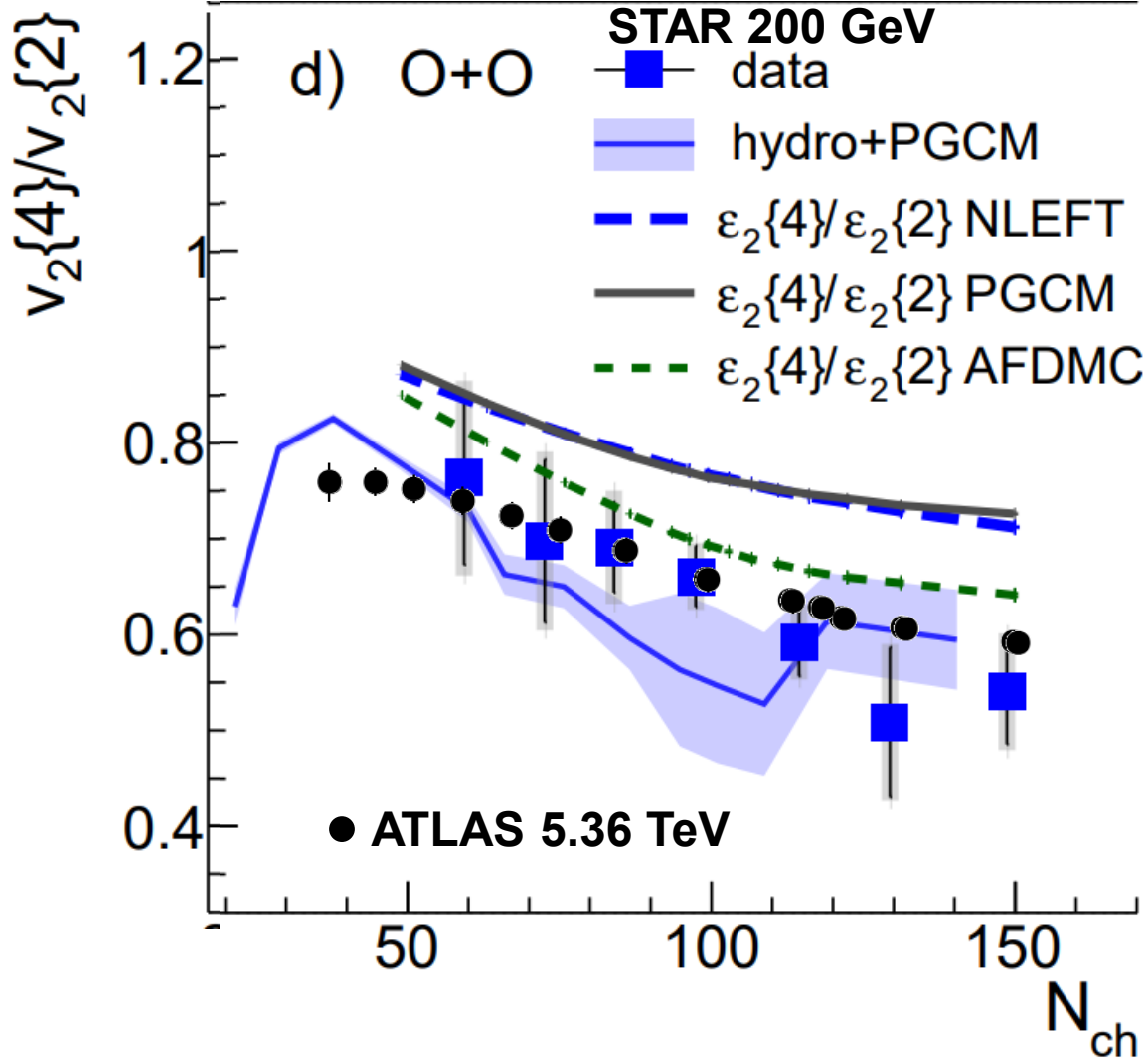
# $v_n\{k\}$ as a function of $N_{ch}$

arXiv:2509.05171



- Neon's geometric UCC enhancement of  $v_2$  grows throughout the majority of the  $N_{ch}$  distribution
- Very similar  $v_3 \rightarrow$  fluctuation driven and transport grows with  $N_{ch}$

# Compare geometry across collision energy



- Final state effects largely cancel – linear hydro approximation
- Geometry should be similar for 200 GeV and 5.36 TeV O+O
- Use STAR centrality  $\rightarrow \langle N_{ch} \rangle$ , to map ATLAS on to STAR  $N_{ch}$
- STAR & ATLAS agree within uncertainties

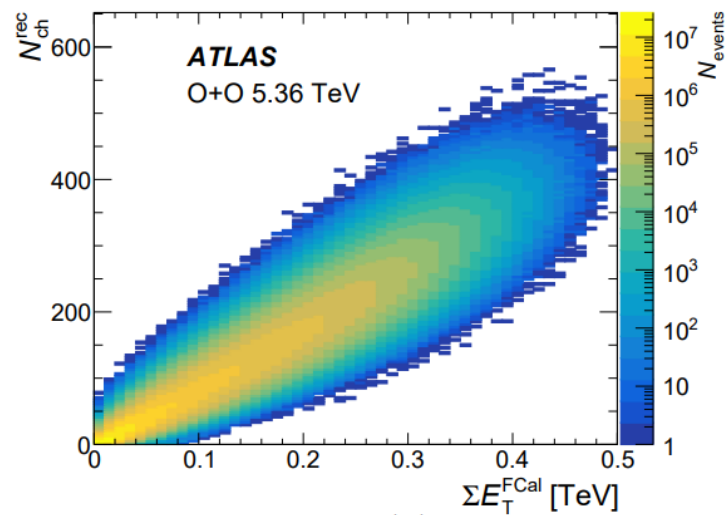
# Summary

- First measurement of azimuthal anisotropy in light-ion  $^{16}\text{O}+^{16}\text{O}$  and  $^{20}\text{Ne}+^{20}\text{Ne}$  collisions
- $p_{\text{T}}$  differential  $v_n$  with non-flow subtraction
  - Qualitatively similar to large systems, indicative of QGP formation
- Centrality differential 2- and 4-particle correlations
  - Evidence of elongated (bowling pin) shape of neon
- Comparisons to theory show,
  - Preference for models with strong correlation between particle production and impact parameter
  - Discrepancies in mid-central and peripheral collisions
- $N_{\text{ch}}$  differential results as well, good for full theory comparisons

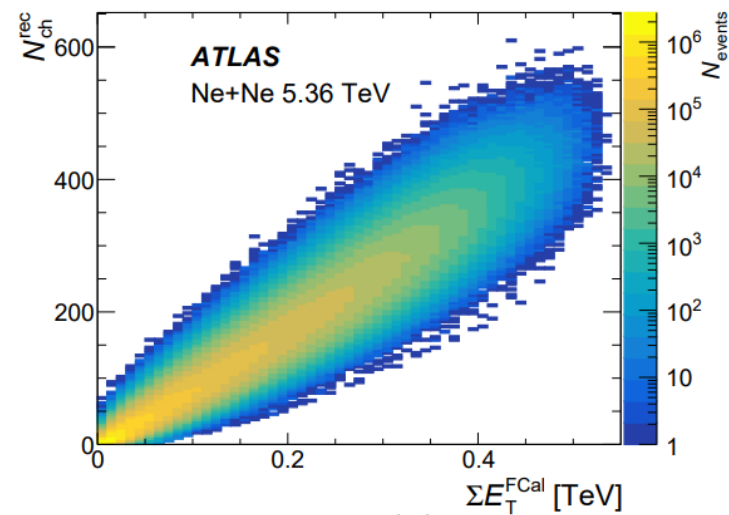
# Backup

# Light ion event characteristics

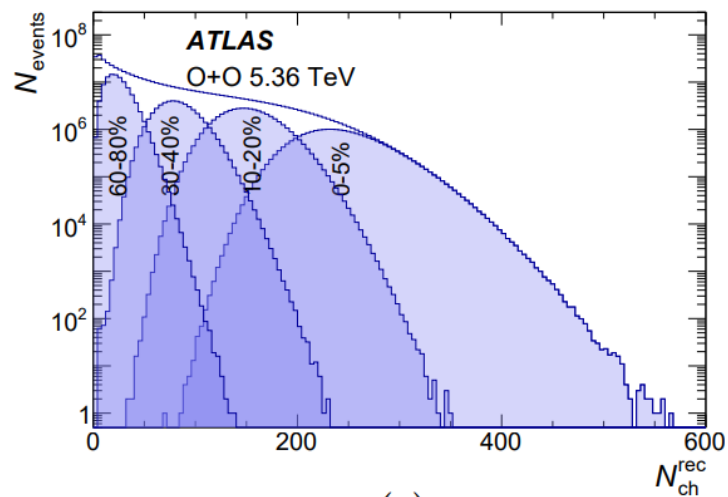
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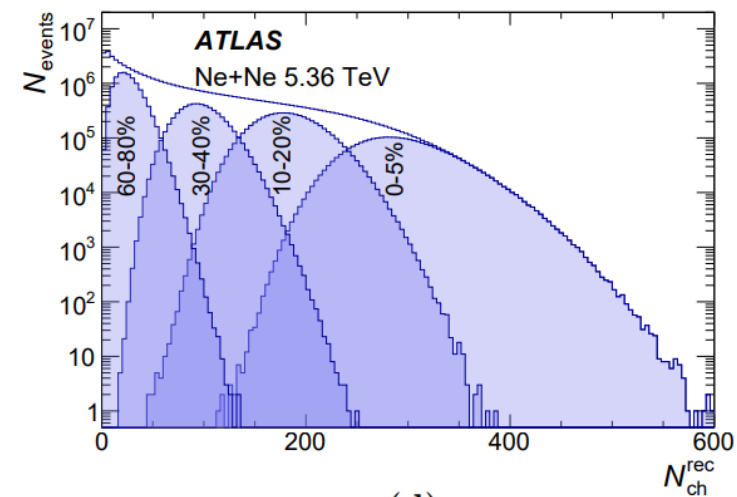
(a)



(b)



(c)



(d)