# Learning how to count - The accidental boost 

Sonia El Hedri<br>with Anson Hook, Martin Jankowiak and Jay Wacker<br>SLAC - Stanford University<br>June 4, 2012

## Natural SUSY high multiplicity signatures



- Relatively soft jets ( $p_{T} \gtrsim 50 \mathrm{GeV}$ )


## Natural SUSY high multiplicity signatures



- Relatively soft jets ( $p_{T} \gtrsim 50 \mathrm{GeV}$ )
- $E_{T}$ suppressed


## Natural SUSY high multiplicity signatures



- Relatively soft jets ( $p_{T} \gtrsim 50 \mathrm{GeV}$ )
- $E_{T}$ suppressed
- $\geq 12$ jets (up to 18 with RPV)


## The accidental boost



## The accidental boost



## The accidental boost

Cluster jets into fat jets ( $R \sim 1$ )


- Cut on $N_{\text {fatjets }}$


## The accidental boost

Cluster jets into fat jets ( $R \sim 1$ )


- Cut on $N_{\text {fatjets }}$
- Cut on $E_{T}$


## The accidental boost

Cluster jets into fat jets ( $R \sim 1$ )


- Cut on $N_{\text {fatjets }}$
- Cut on $E_{T}$
- Cut on $M_{J}=\sum_{j} m_{j}$


## The accidental boost

Cluster jets into fat jets ( $R \sim 1$ )


- Cut on $N_{\text {fatjets }}$
- Cut on $E_{T}$
- Cut on $M_{J}=\sum_{j} m_{j}$

No more discriminating variables?

## Knowing how to count



- Recursively, using clustering algorithms
- Using N-subjettiness


## Counting subjets recursively

Uncluster $j$ into $j_{1}$ and $j_{2}$ ( $j_{1}$ harder)
If $m_{j} \leq m_{\text {cut }}$ or $\Delta R\left(j_{1}, j_{2}\right)<R_{\text {min }}, j$ is a subjet
If $p_{T 2}<y_{\text {cut }} . p_{T j}$, throw out $j_{2}$
Repeat the procedure on the remaining jet(s)

$$
m_{\text {cut }}=30 \mathrm{GeV}, y_{\text {cut }}=0.15, p_{\text {Tcut }}=40 \mathrm{GeV}, R_{\min }=0.20
$$

## Using N-subjettiness

$$
\tau_{N}=\sum_{i} \frac{p_{T i}}{p_{T}} \min _{k=1 \ldots N} \frac{\Delta R_{i k}}{R_{0}}
$$



## Using N-subjettiness

$$
\tau_{N}=\sum_{i} \frac{p_{T i}}{p_{T}} \min _{k=1 \ldots N} \frac{\Delta R_{i k}}{R_{0}}
$$




## N-subjettiness - Boosted Decision Trees



| N | $\tau_{1}$ | $\tau 21$ | $\tau 31$ | $\tau_{41}$ |
| :---: | :---: | :---: | :---: | :---: |
| 1 | $<13 \%$ |  |  |  |
| 2 | $13 \%-25 \%$ |  |  |  |
| 2 | $>25 \%$ | $<40 \%$ |  |  |
| 3 | $25 \%-45 \%$ | $>40 \%$ | $<35 \%$ |  |
| 3 | $>45 \%$ | $>40 \%$ | $<35 \%$ | $<20 \%$ |
| 4 | $>45 \%$ | $>40 \%$ | $<35 \%$ | $>20 \%$ |
| 4 | $25 \%-40 \%$ | $>40 \%$ | $>35 \%$ | $<40 \%$ |
| 4 | $25 \%-50 \%$ | $>40 \%$ | $35 \%-45 \%$ | $<40 \%$ |
| 5 | $>25 \%$ | $>40 \%$ | $>35 \%$ | $>40 \%$ |
| 5 | $25 \%-50 \%$ | $>40 \%$ | $>45 \%$ | $<40 \%$ |
| 5 | $>50 \%$ | $>40 \%$ | $35 \%-45 \%$ | $>40 \%$ |

## Results

$$
\tilde{g} \tilde{g} \rightarrow t \bar{t} t \bar{t}+2 \chi
$$

Non RPV


RPV


## Conclusion

- Natural SUSY scenarios favor the existence of very high multiplicity events with relatively soft jets and suppressed missing $E_{T}$
- Such events can be clustered into fat jets and studied using jet substructure techniques
- Algorithmic techniques and jet shape variables such as N -subjettiness allow to estimate the total number of subjets in an event
- Adding a cut on this number of subjets to the standard $M_{J}+E_{T}$ cuts allow an improvement of the exclusion limits by at least a factor of two.

