



PSI's **SC** cyclotron “**COMET**” for proton therapy

Marco Schippers



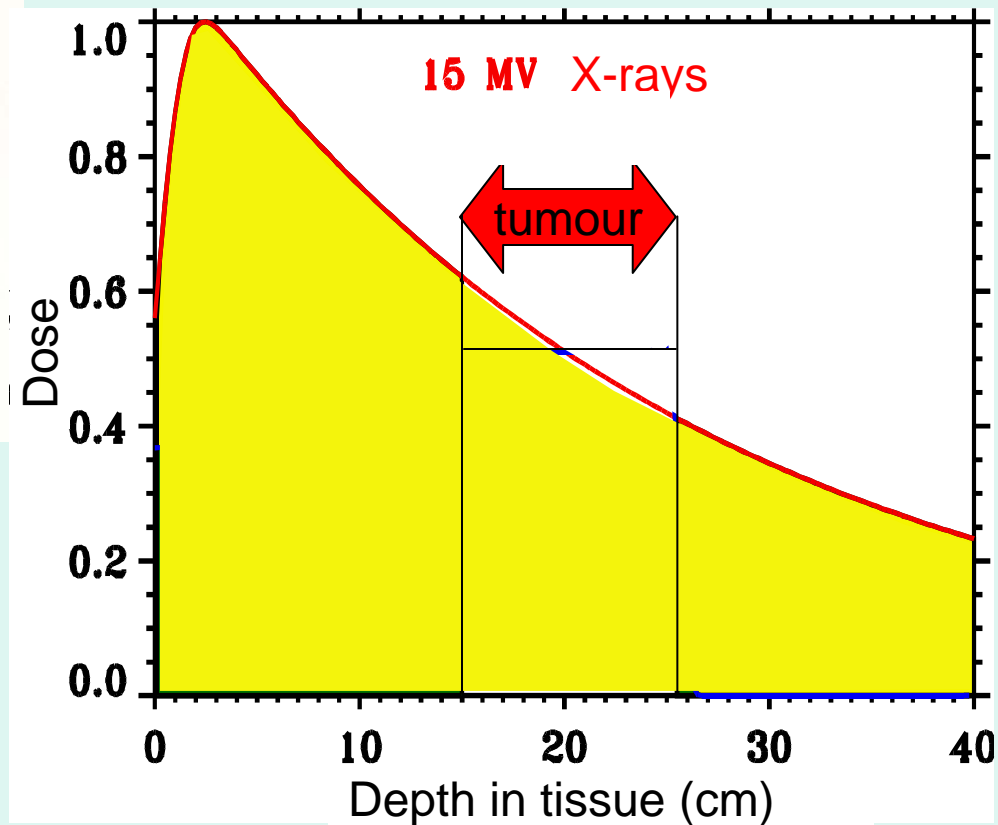
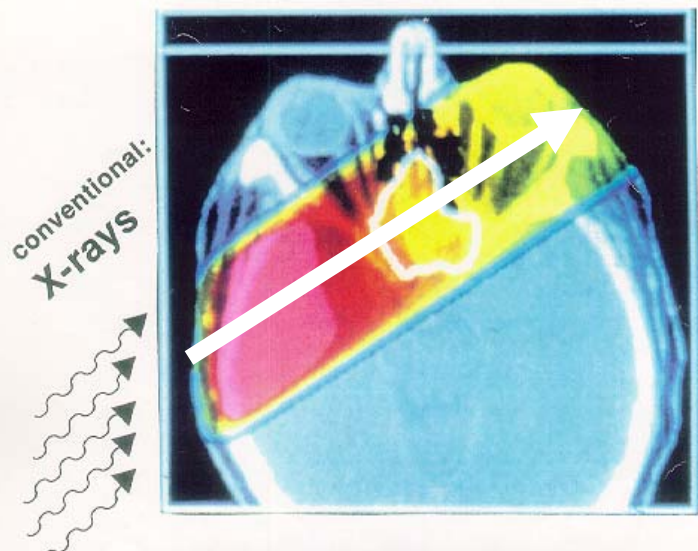
PAUL SCHERRER INSTITUT

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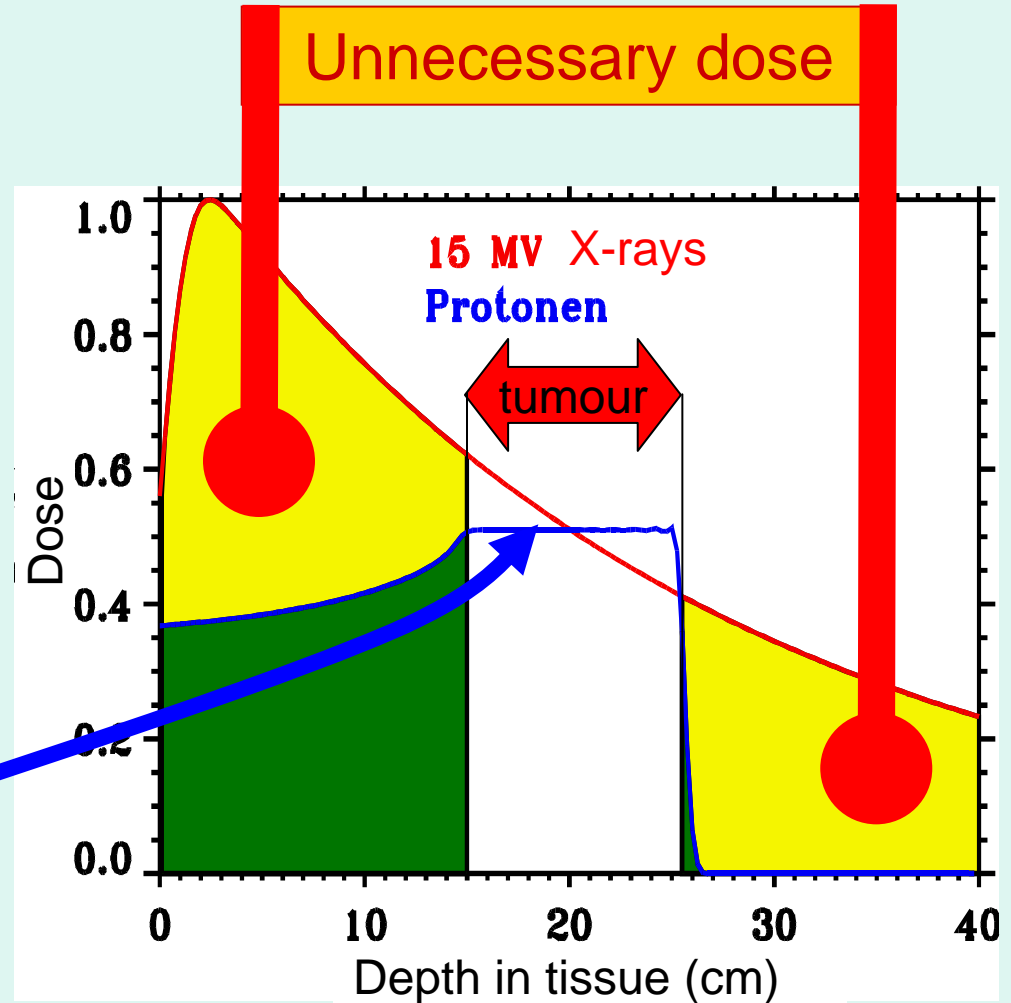
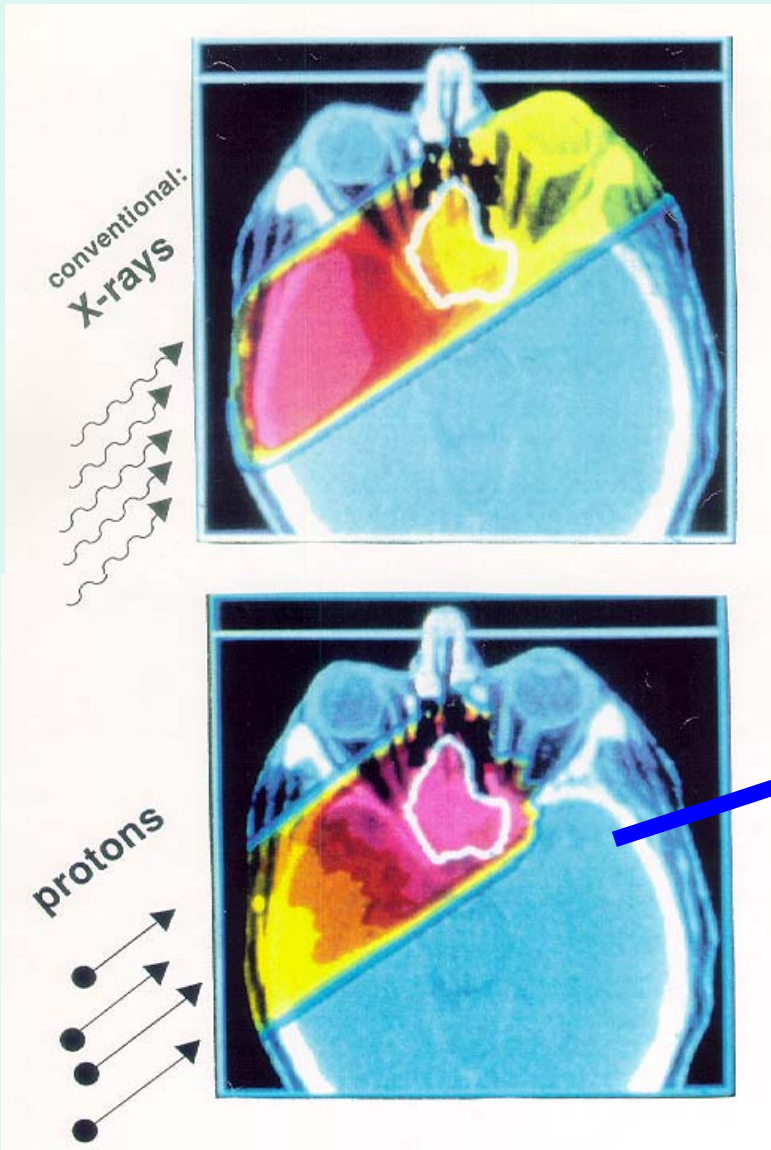
- Proton therapy
- Dose delivery techniques
- Cyclotron



X-rays vs. Protons

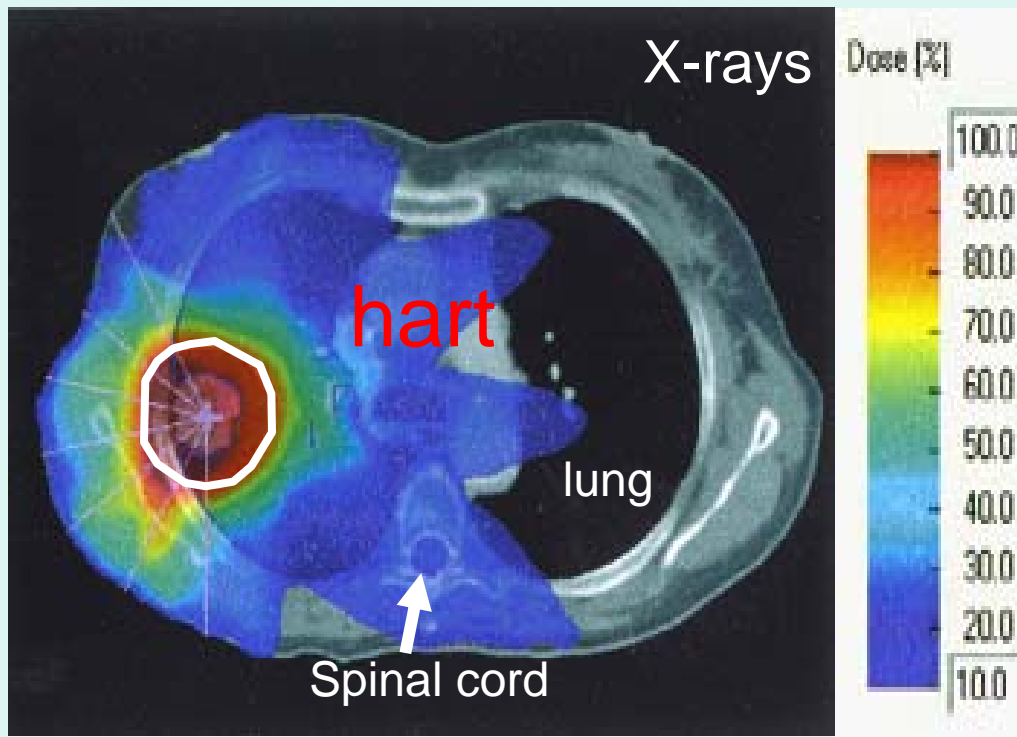


X-rays vs. Protons

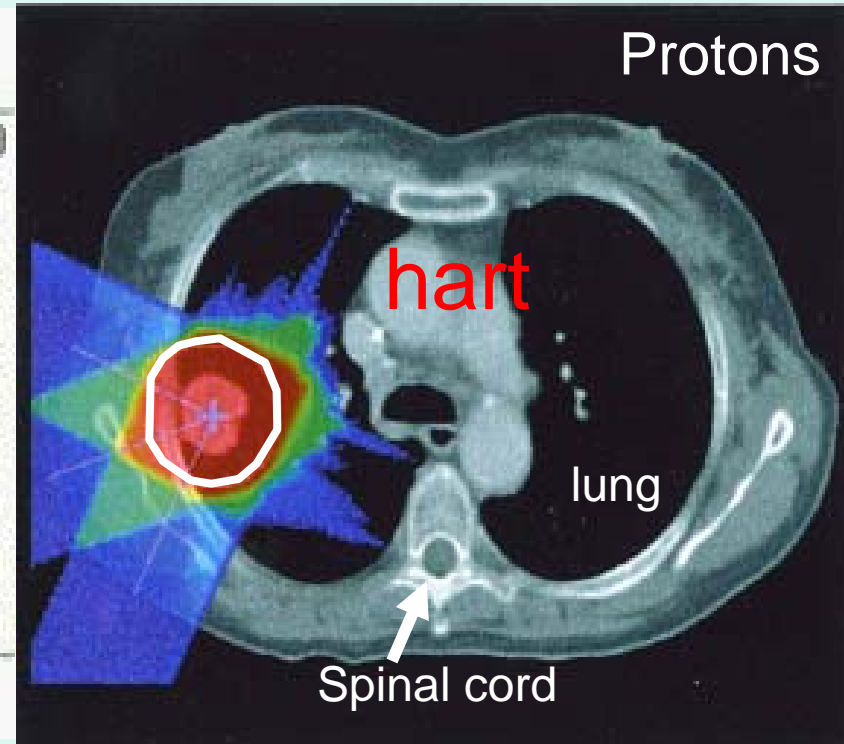


X-rays vs. Protons

X-ray beams (IMRT)
from 7 directions

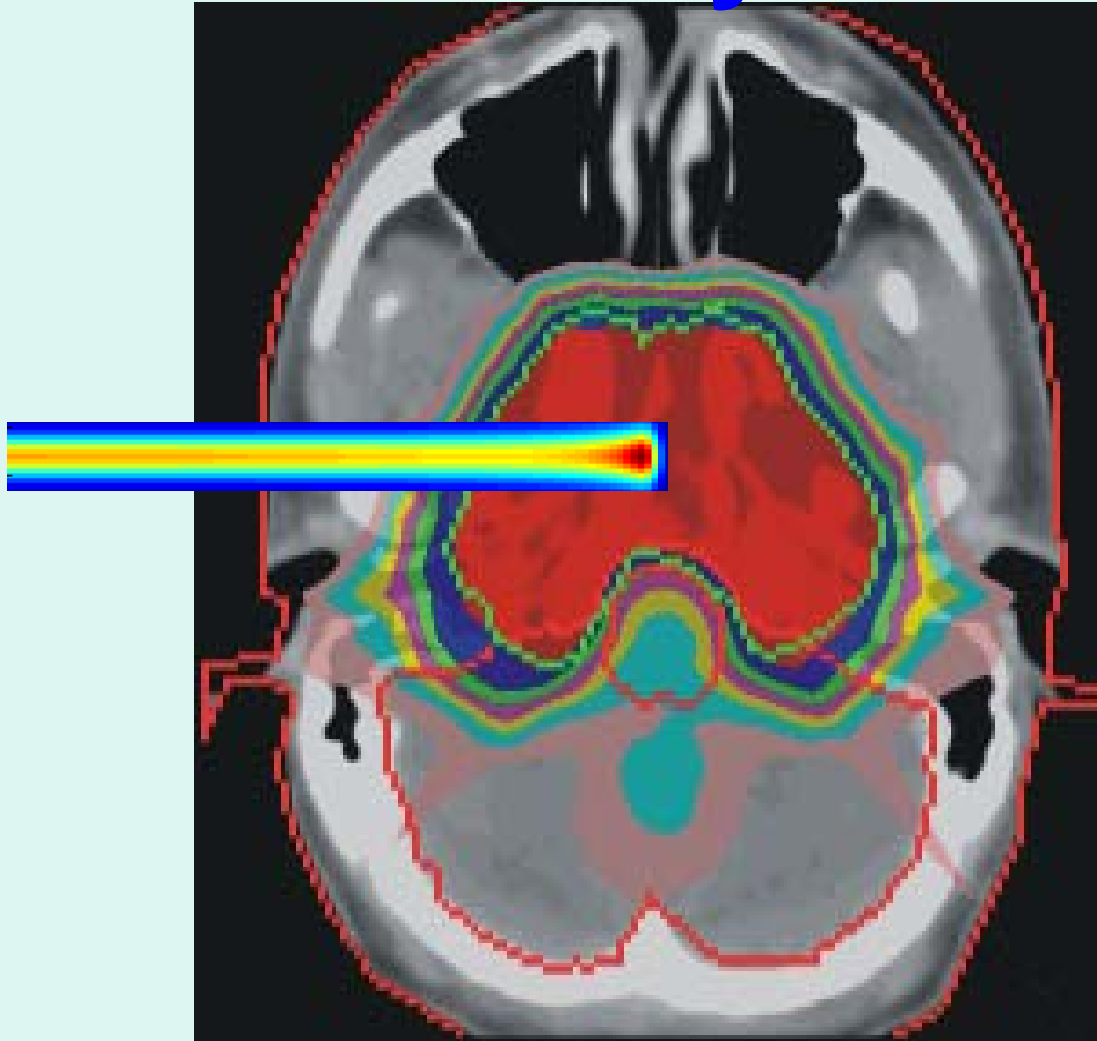


Proton beams
from 3 directions

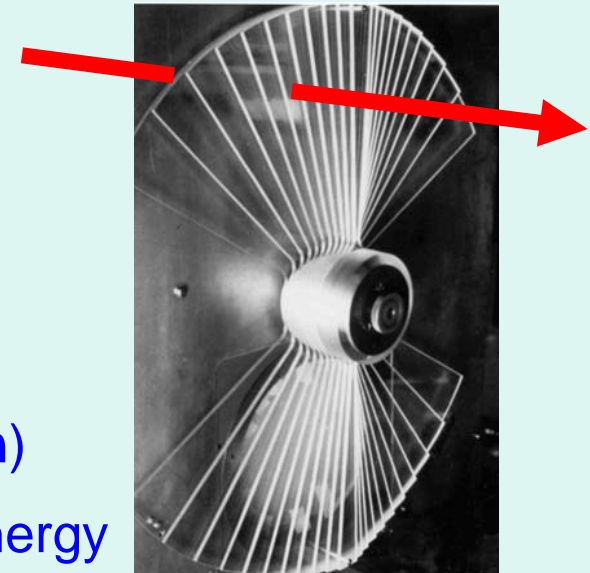
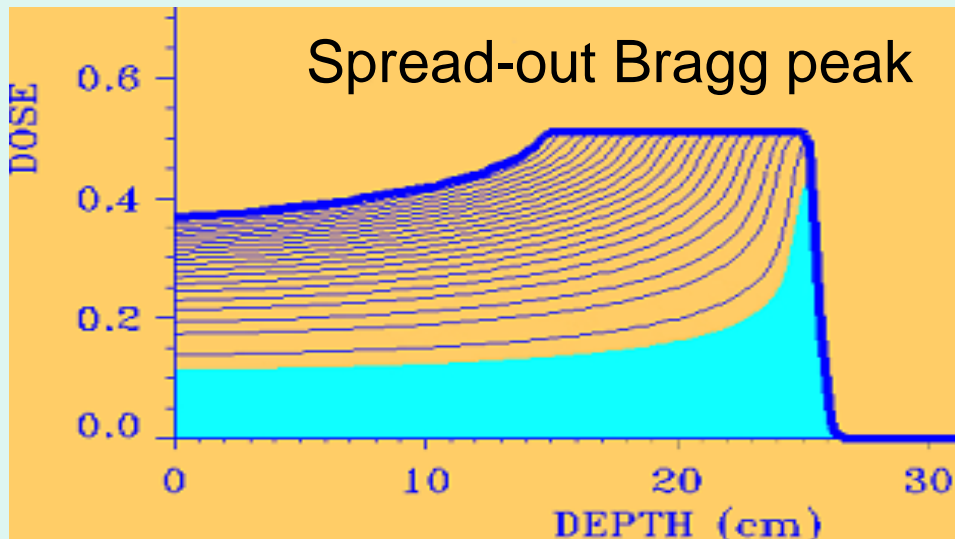


pictures: MedAustron

Dose delivery techniques



Dose delivery techniques: Depth

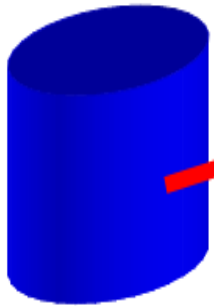


Methods to control depth:

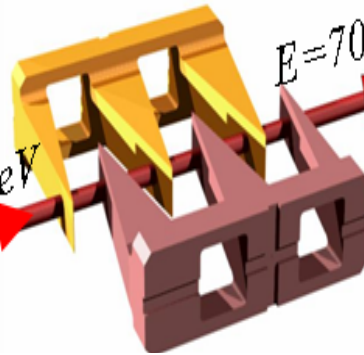
- 1) Vary energy in accelerator (**synchrotron**)
- 2) Slow down from a fixed to the desired energy
 - modulate “just” before patient (in “nozzle”)
 - at start of beam transport (**cyclotron**)

Dose delivery techniques: **Depth**

250 MeV cyclotron

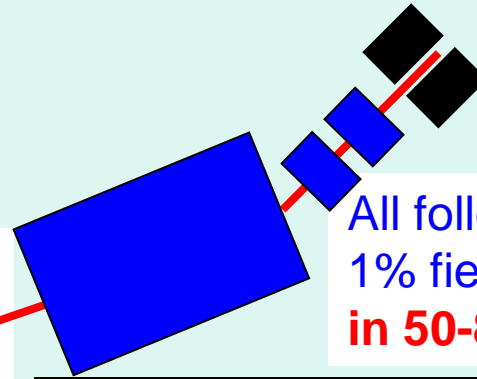


$E=250\text{ MeV}$

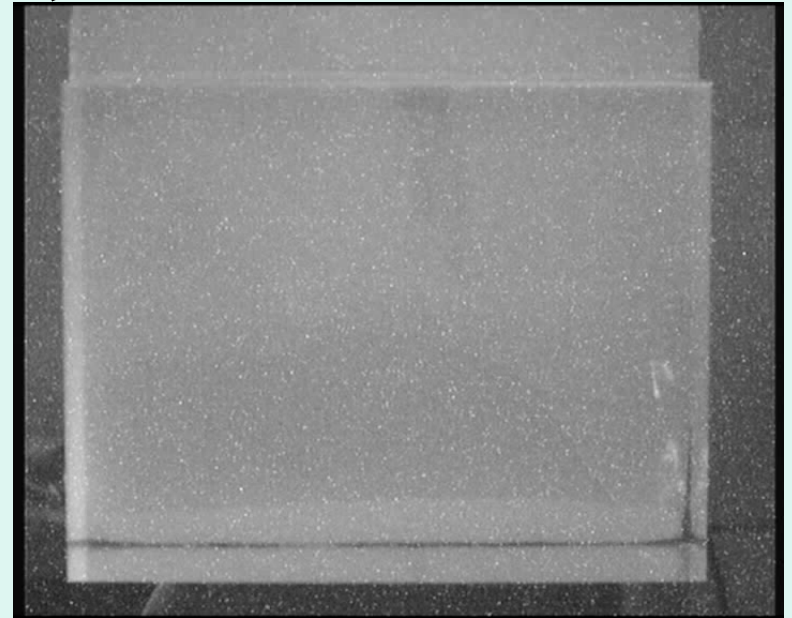


At PSI:
Carbon wedge degrader
238-70 MeV

$E=70-230\text{ MeV}$

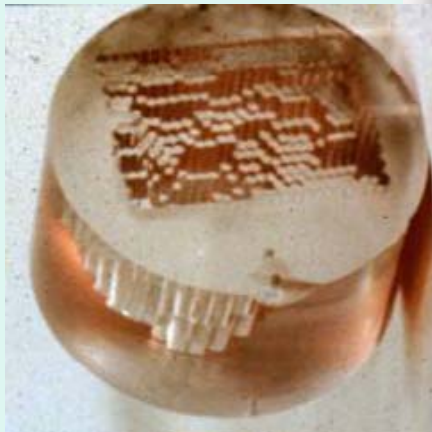
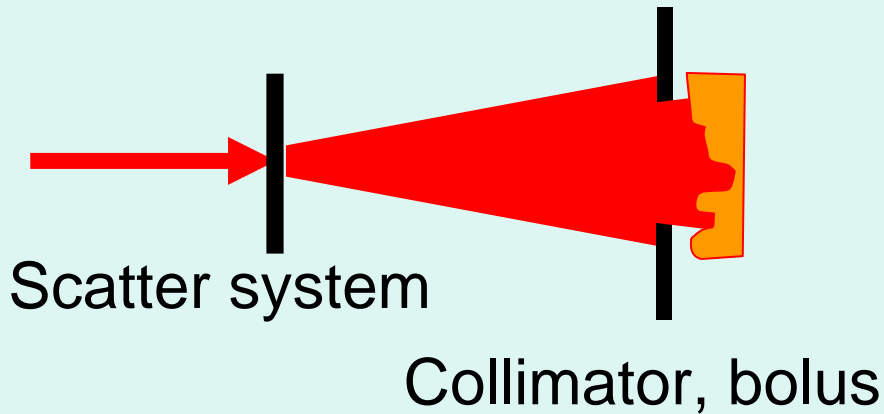


All following magnets:
1% field change
in **50-80 ms**



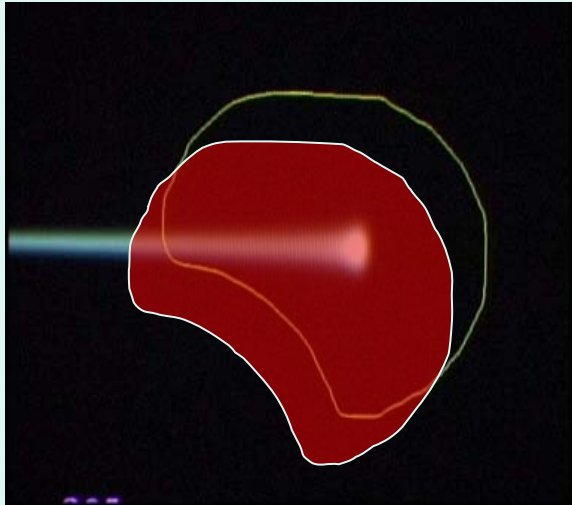
- fast treatment
- fast room switching

Scatter technique



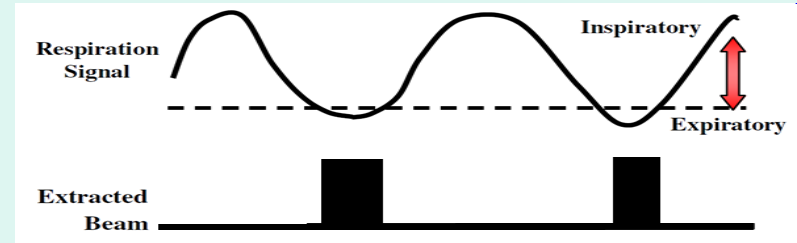
organ / tumor motion

Organ motion



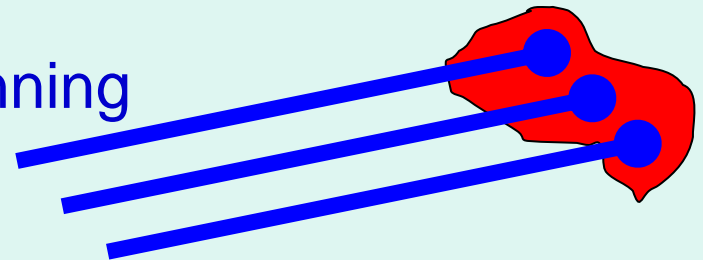
Possible solutions:

- Gating

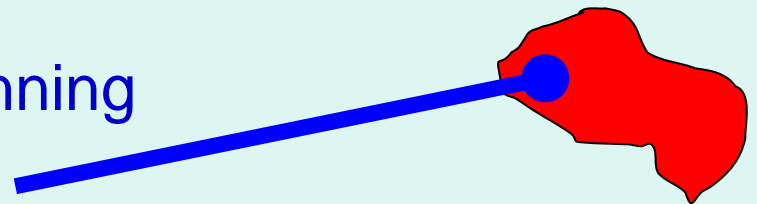


- Adaptive scanning

(tumor tracking)



- Fast rescanning



Pencil beam scanning

Spot scanning: **step&shoot**

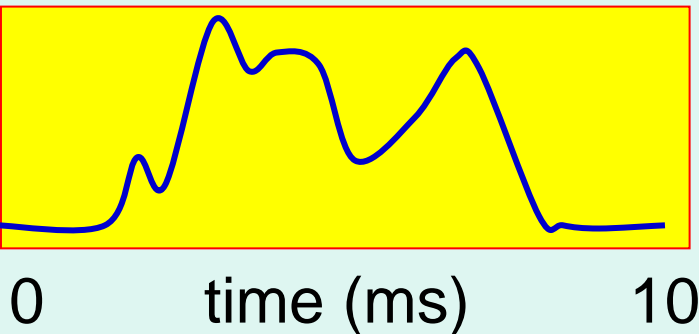


Continuous scanning



kHz-Intensity modulation

intensity



Requirements for accelerator:

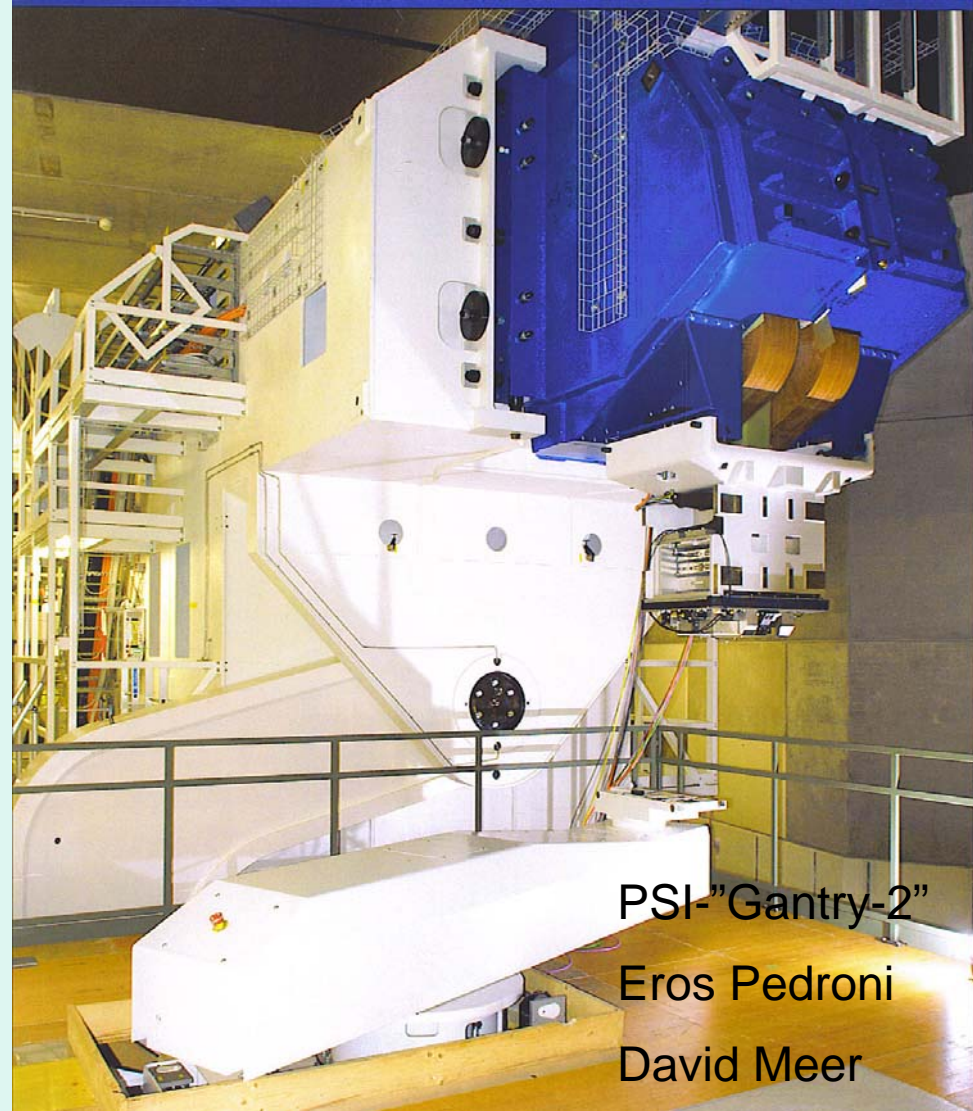
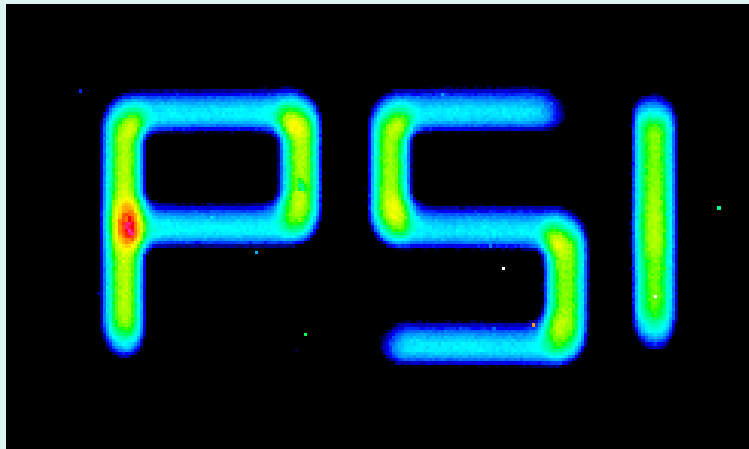
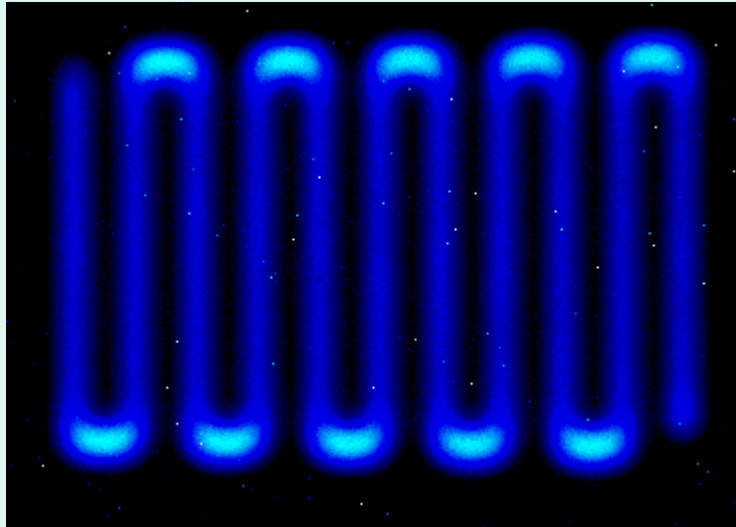
- stable beam position

allows fast target **repainting**:
15-30 scans / 2 min.

Requirements for accelerator:

- stable beam position
- continuous and stable beam
- fast adjustable beam intensity
- fast adjustable beam energy

PSI Gantry-2: fast 3D scanning

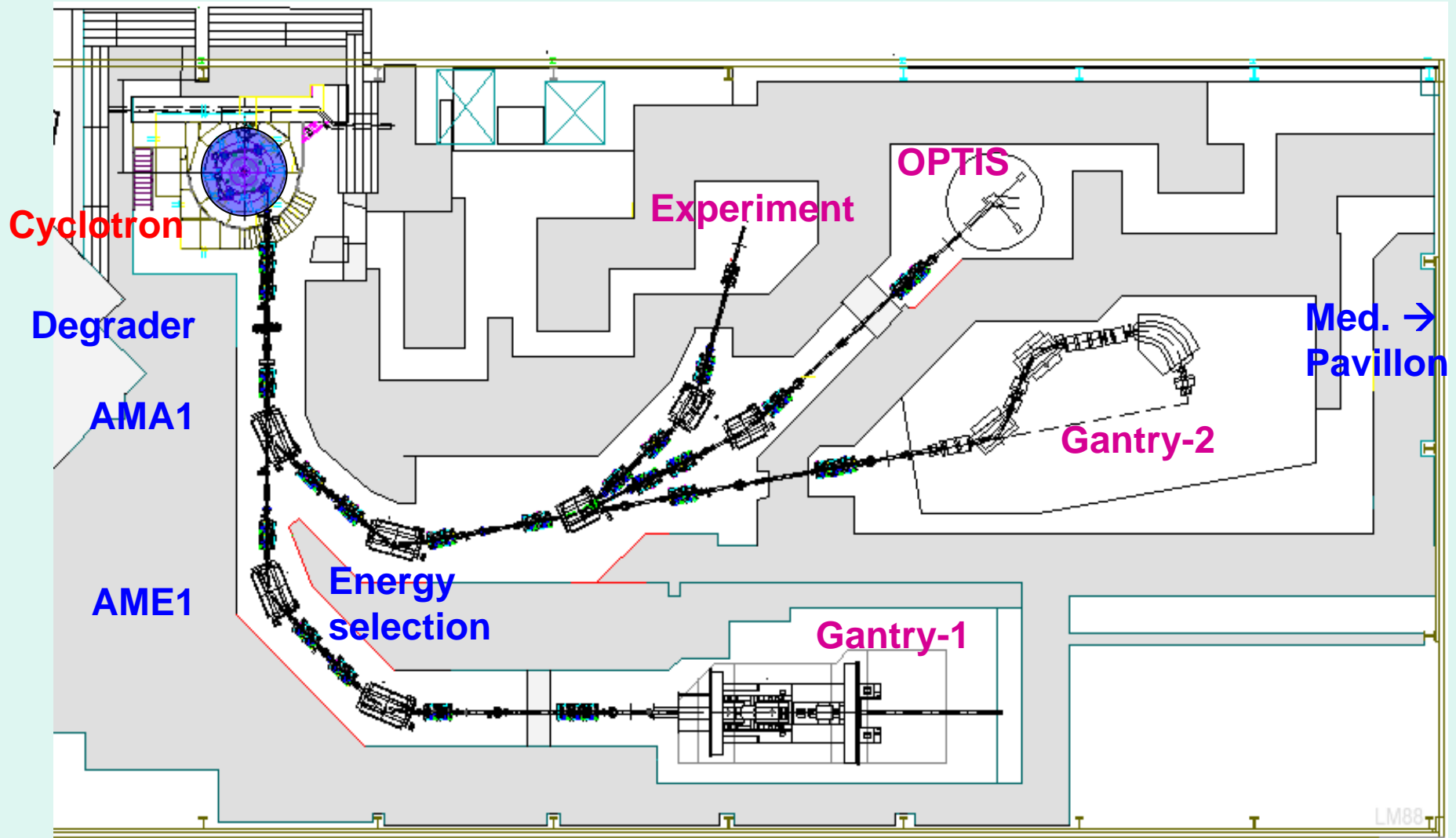


PSI-"Gantry-2"
Eros Pedroni
David Meer

The SC cyclotron at PSI

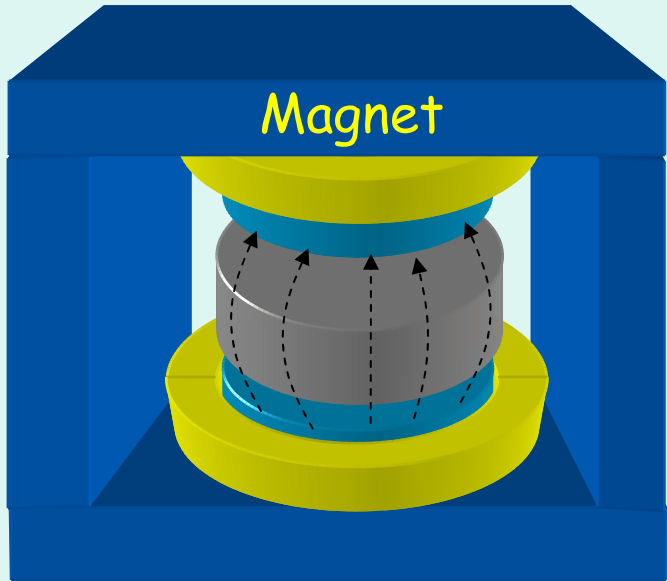


the PROSCAN facility

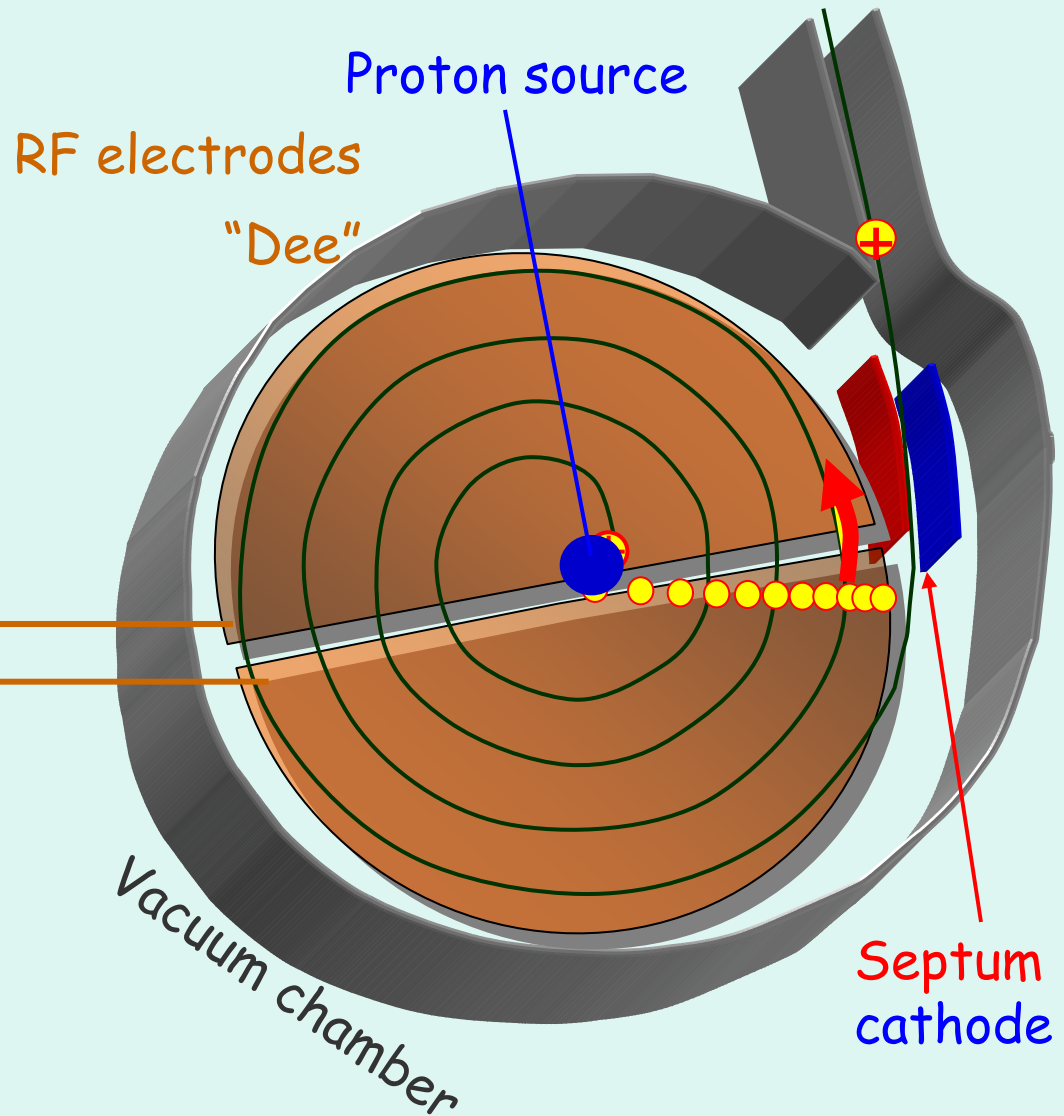


LM88

Cyclotron (1930)



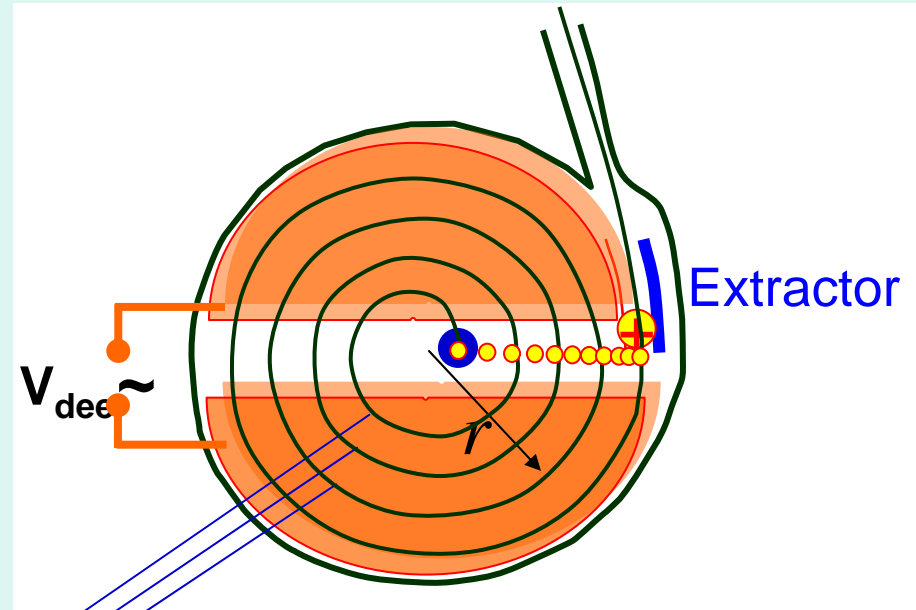
Magnet



RF-Voltage "V_{dee}" 
 RF frequency f 

At electrode slit crossing:
 Energy gain $\Delta E = V_{dee}$

Cyclotron



Circular orbits:

Centripetal force = Magnetic force $\frac{mv^2}{r} = Bqv$

$$\Rightarrow T_{circle} = \frac{2\pi \cdot r}{v} = \frac{2\pi \cdot m}{Bq}$$

$\Rightarrow T_{circle}$ independent from orbit radius r

m = mass

v = speed

r = orbit radius

B = magnetic field

q = charge

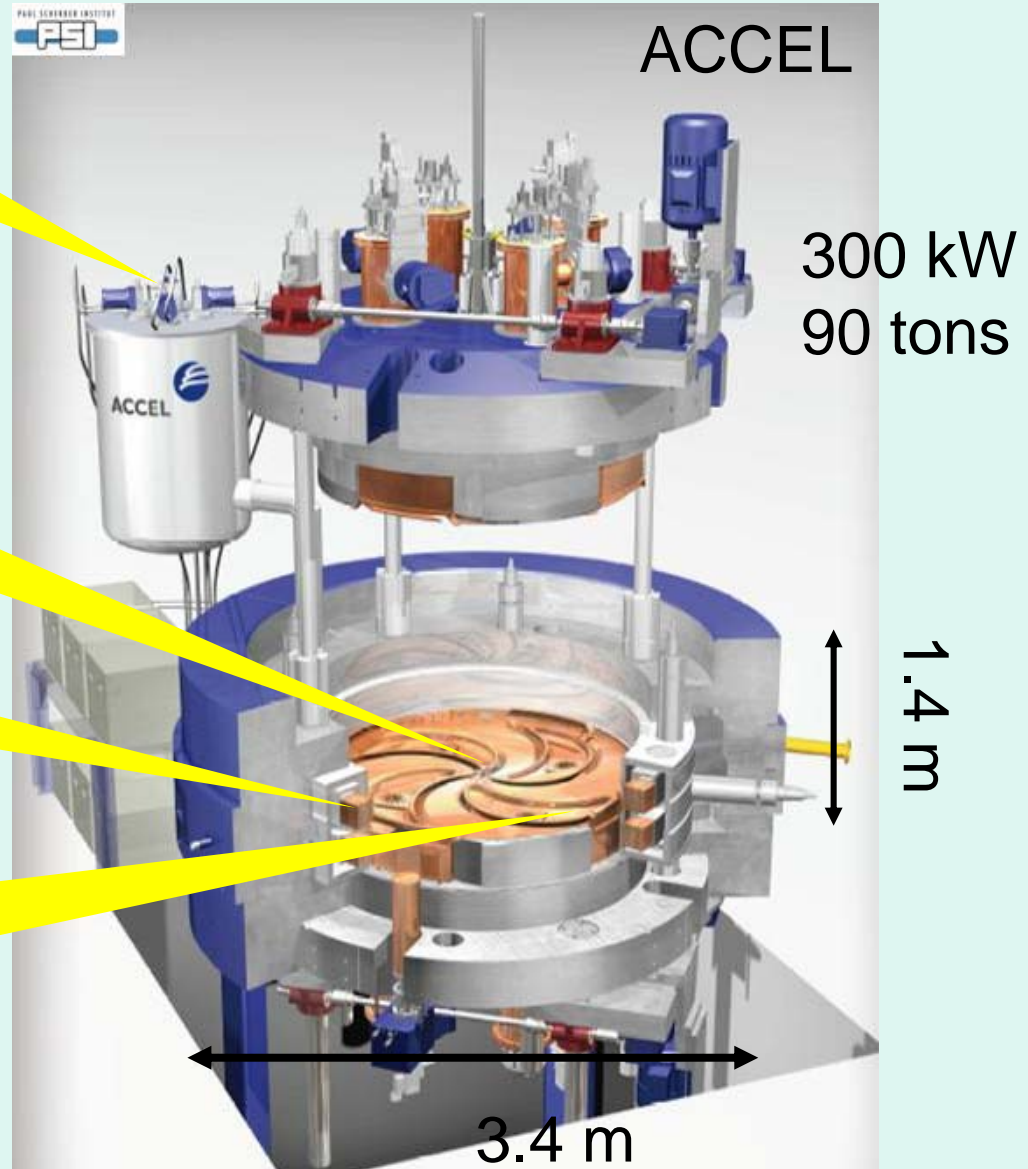
250 MeV proton cyclotron (ACCEL/Varian)

Closed He system
4 x 1.5 W @4K

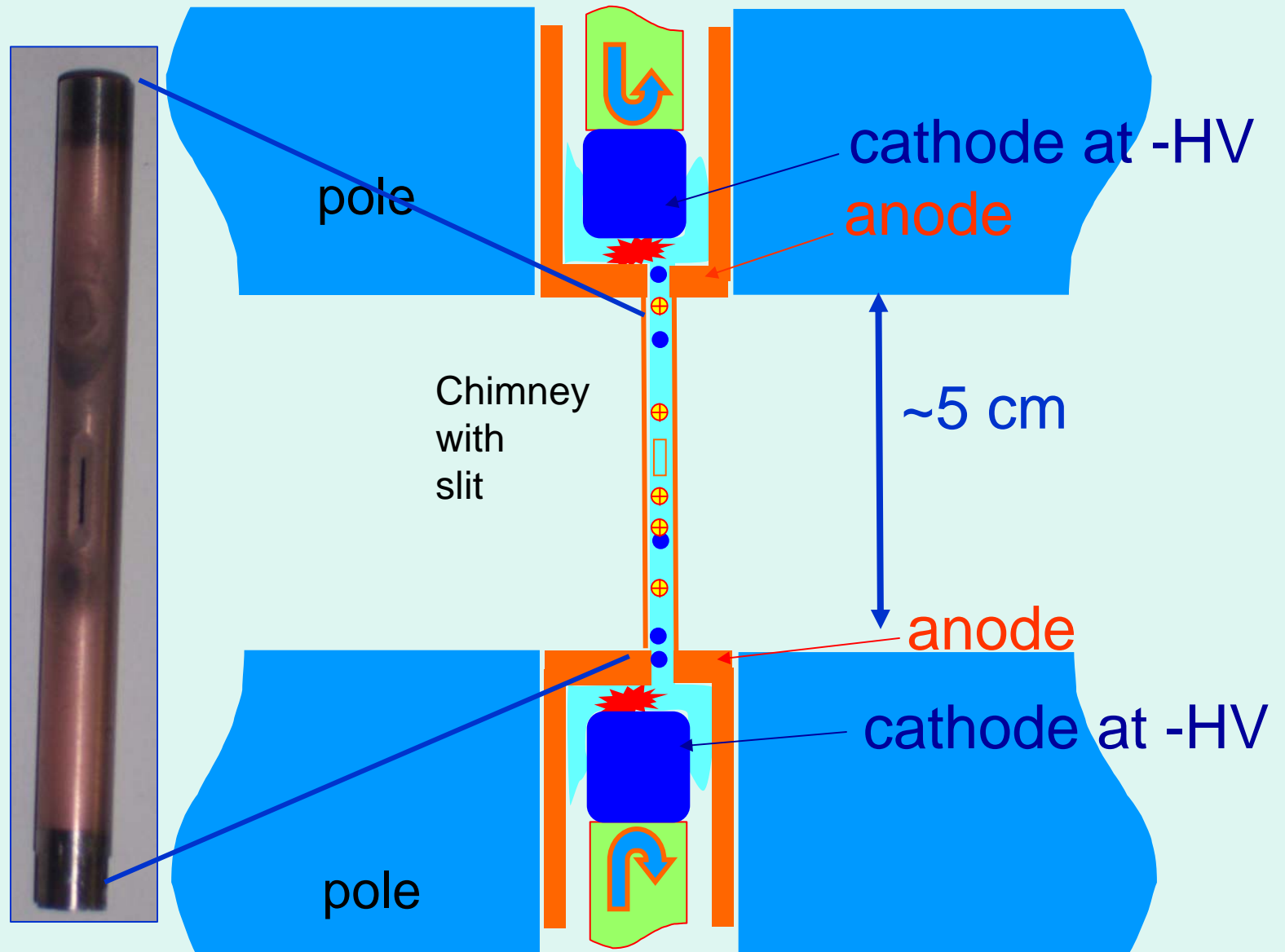
Proton source

superconducting
coils => 2.4 – 3.8 T

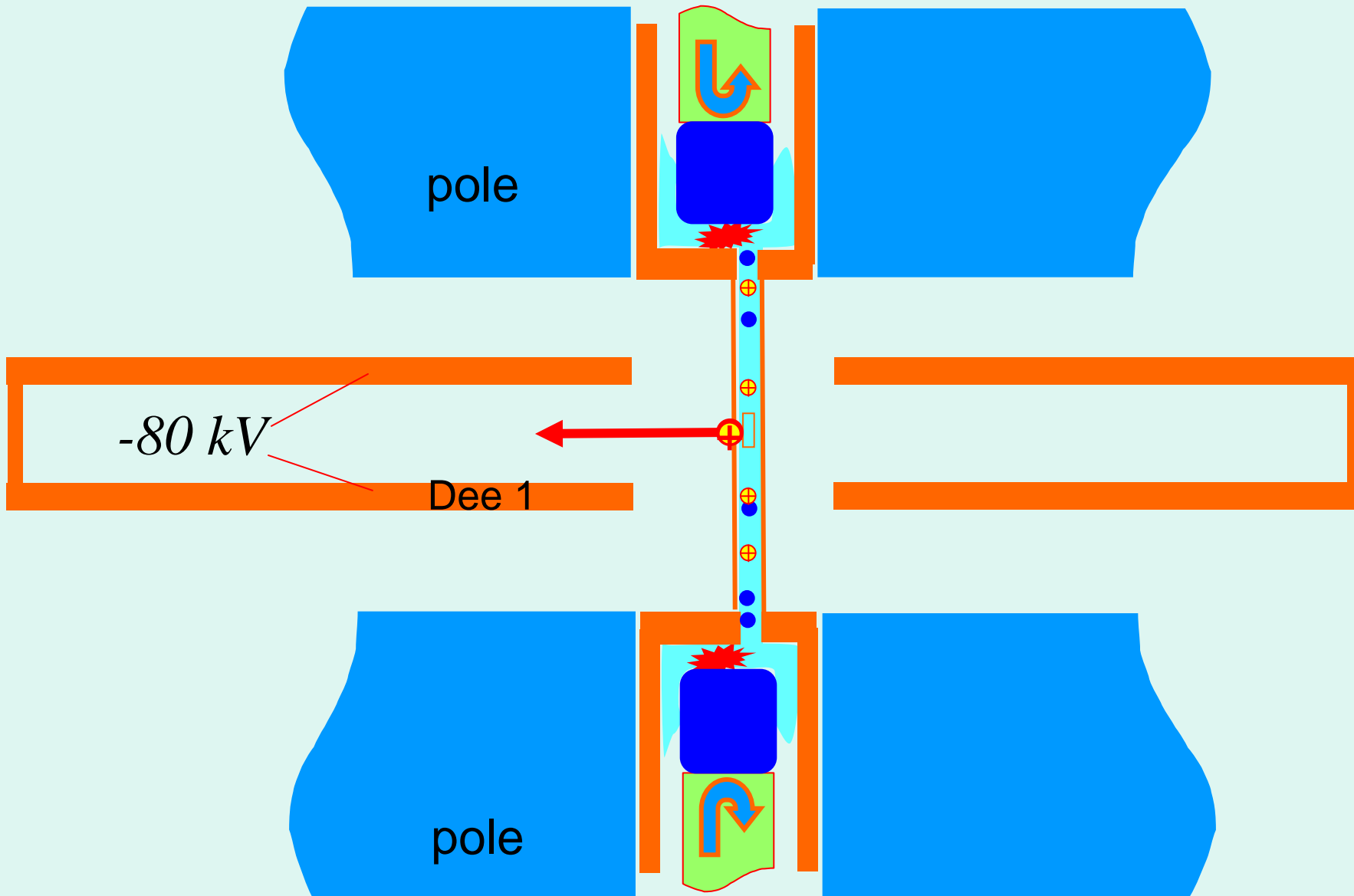
4 RF-cavities:
72 MHz (h=2)
~80 kV



Internal proton source

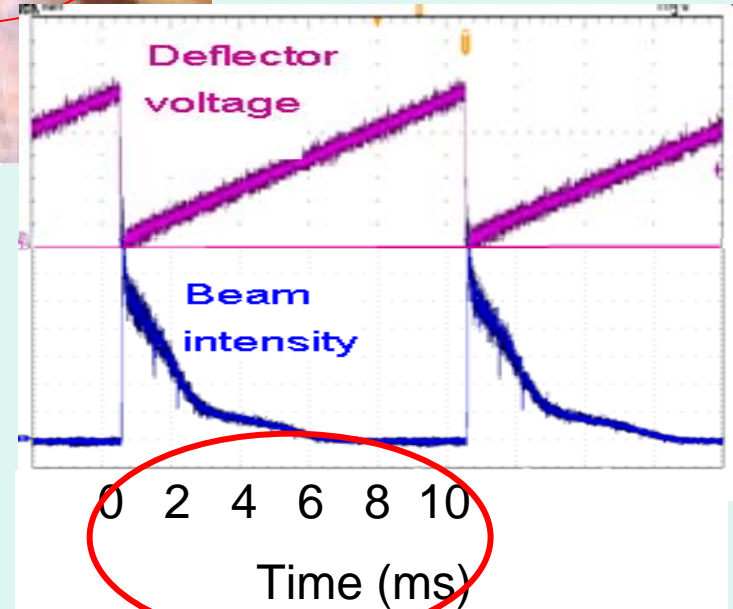
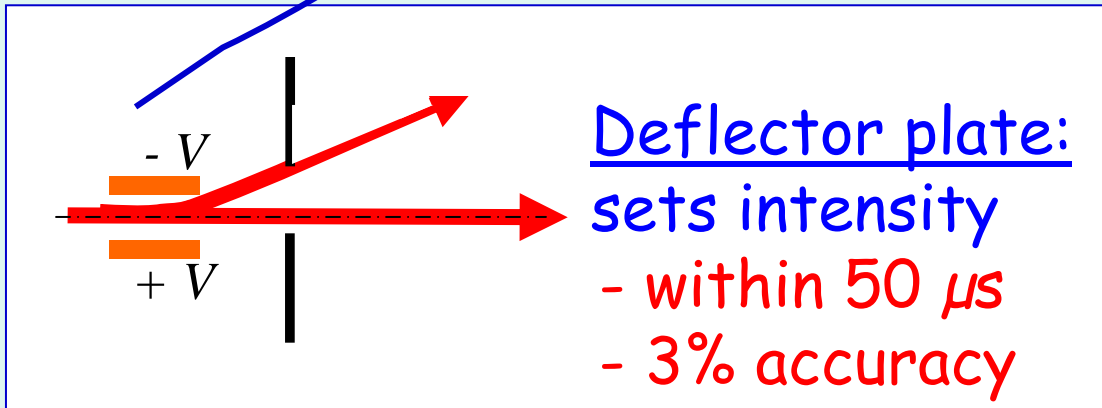
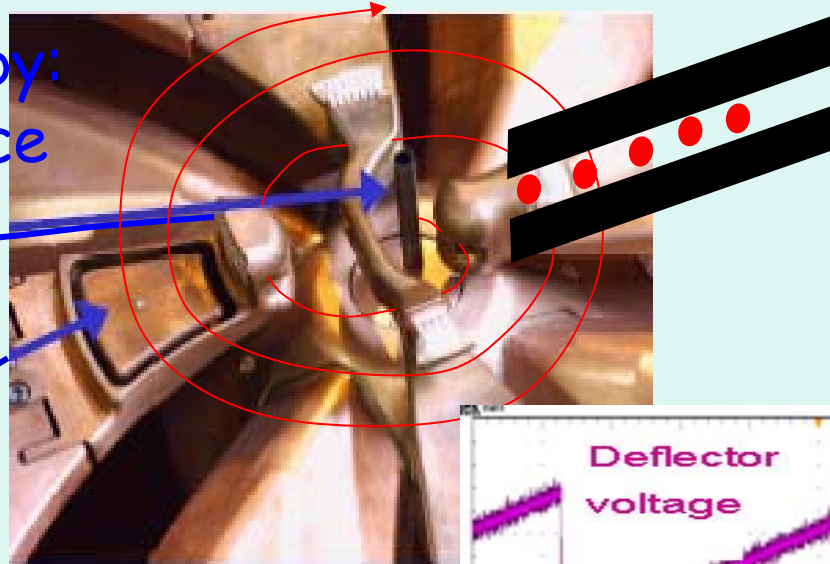


Internal proton source



intensity control

Max. intensity set by:
proton source



Relativity in high-E cyclotrons

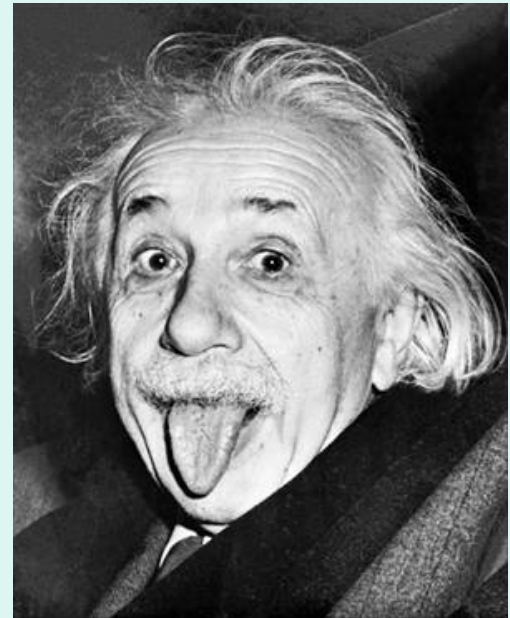
Cyclotron essential: $T_{circle} = \frac{2\pi \cdot m}{Bq} \Rightarrow T_{circle}$ constant for all radii

However, when $v \rightarrow c$: $m = \frac{m_0}{\sqrt{1 - v^2/c^2}} = \gamma \cdot m_0$

e.g: 10 MeV p: $v/c=0.14 \Rightarrow m=1.01 m_0$

250 MeV p: $v/c=0.61 \Rightarrow m=1.27 m_0$

$\Rightarrow T_{circle}$ increases with radius \Rightarrow **particles lose pace with RF.**



Relativity in high-E cyclotrons

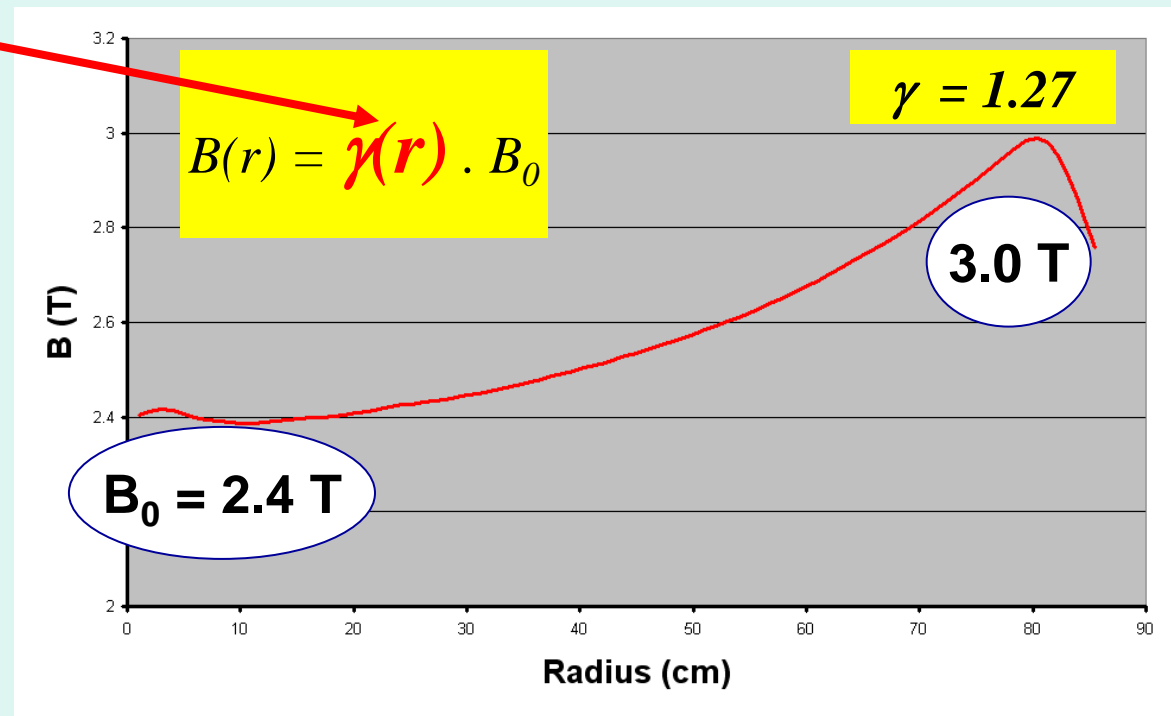
$$T_{circle} = \frac{2\pi \cdot m}{q \cdot B}$$

Remedies when T_{circle} increases with radius:

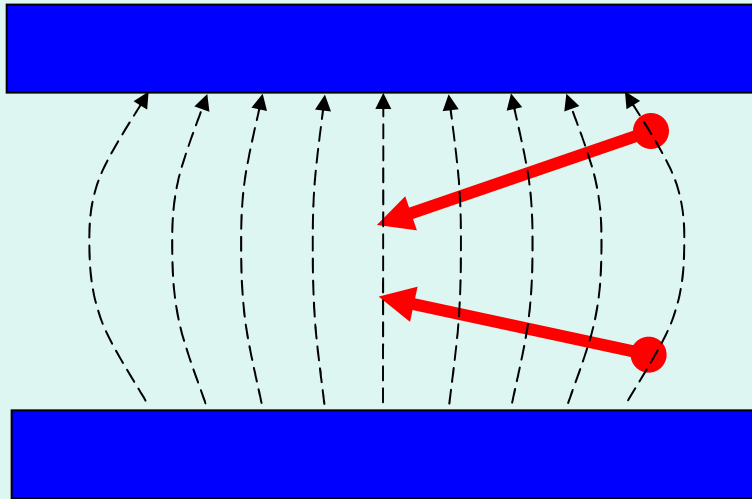
- 1) decrease f_{RF} with radius.
(synchro-cyclotron; pulsed)
- 2) increase B with radius

$$m = \frac{1}{\sqrt{1 - v^2/c^2}} \cdot m_0$$

$\gamma(r)$



Relativity in high-E cyclotrons

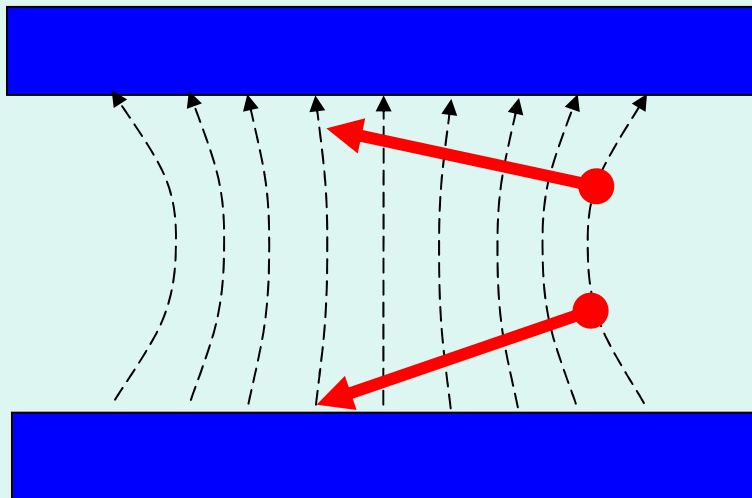


Radial variation of field (field index):

$$n(R) = - [R/B(R)] [dB(R)/dR]$$

$$n > 0 : dB/dr < 0$$

When **B decreases** with radius:
Automatic vertical stability

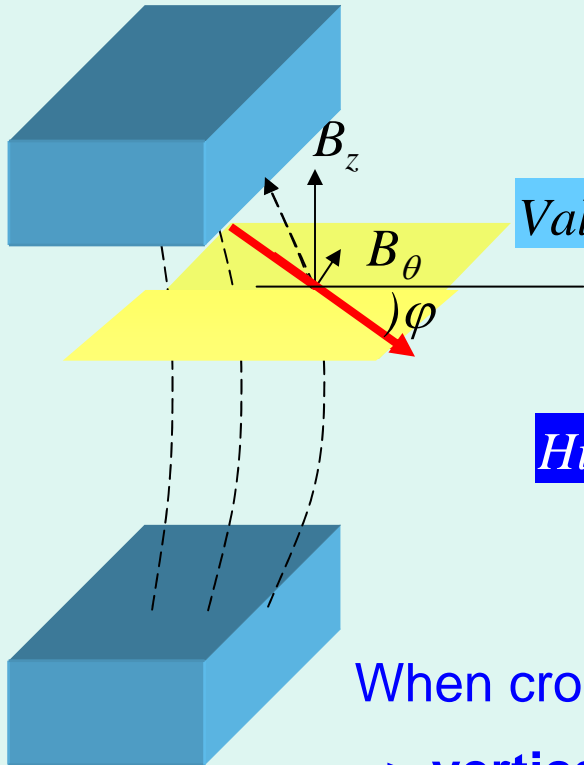
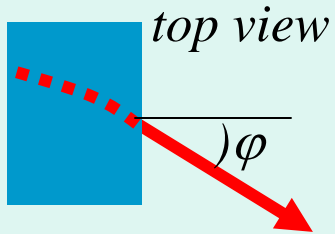


When **B increases** with radius:
No vertical stability

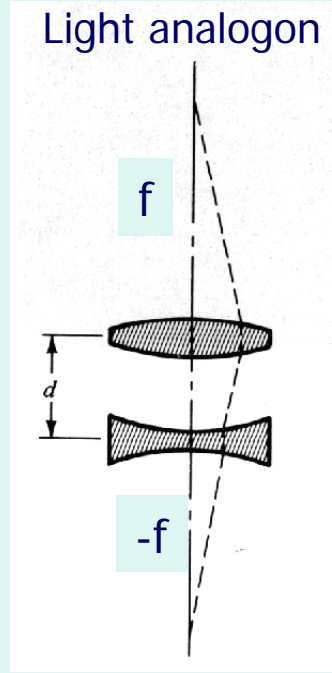
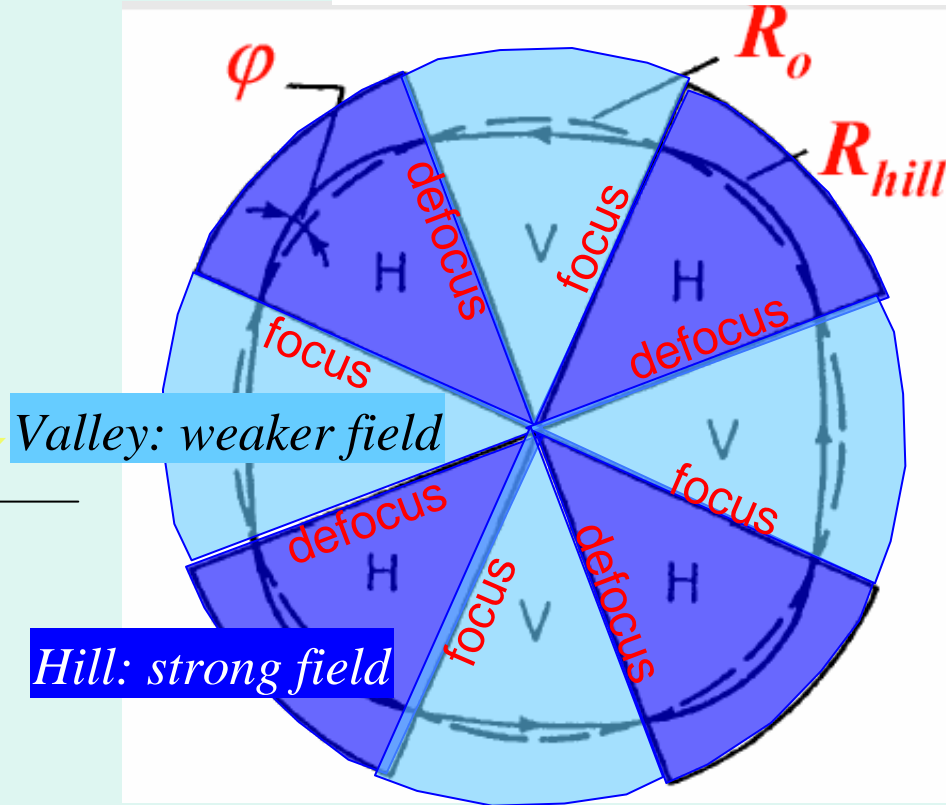
$$n < 0 : dB/dr > 0$$

$$n(R) = - [R/B(R)] [dB(R)/dR] = - (\gamma^2 - 1)$$

Vertical focussing: Azimuthally Varying Field



Thomas-Cyclotron (1938)

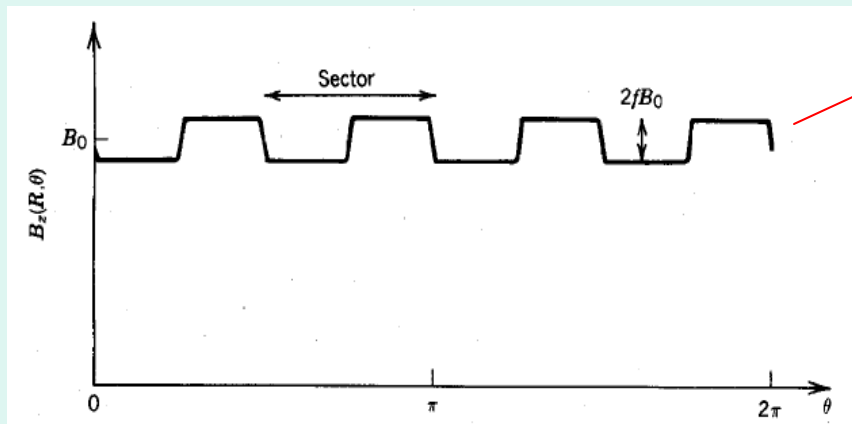
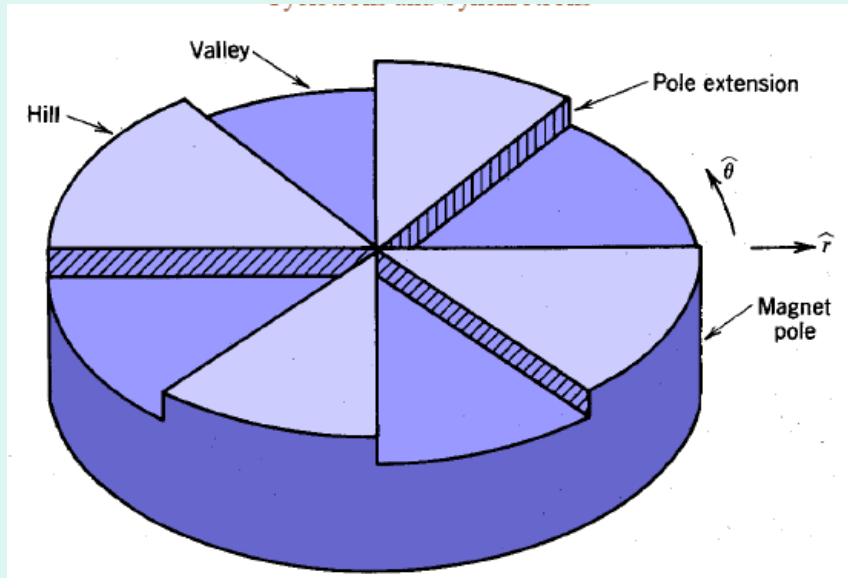


$$f_{\text{comb}} = f^2/d$$

When crossing B change **not** \perp

\Rightarrow vertical force from $B_\theta \times v$

Vertical focussing: Azimuthally Varying Field



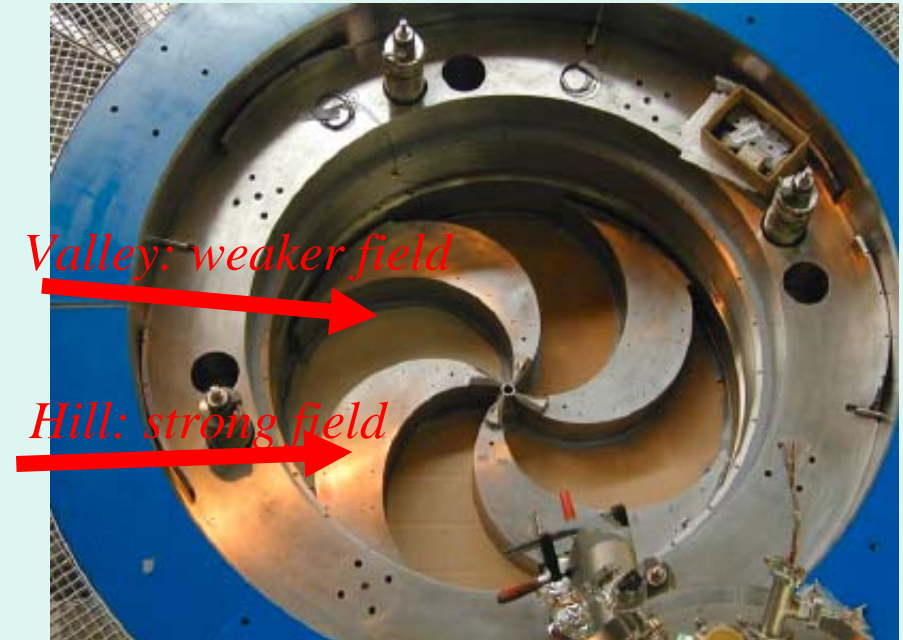
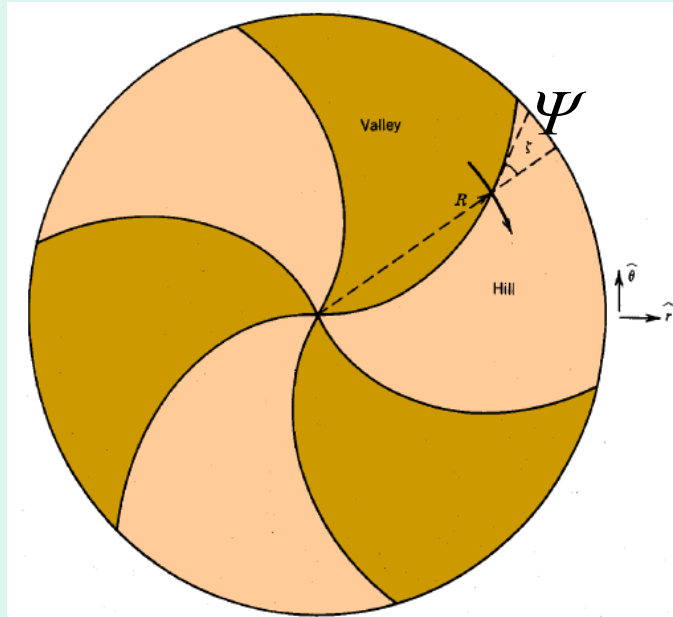
Flutter function

$$F(R) = \overline{[(B_z(R, \theta) - B_o(R))/B_o(R)]^2}$$

Thomas focusing: $\nu_z^2(R) = n(R) + F(R)$

Vertical focussing

Azimuthally Varying Field cyclotron



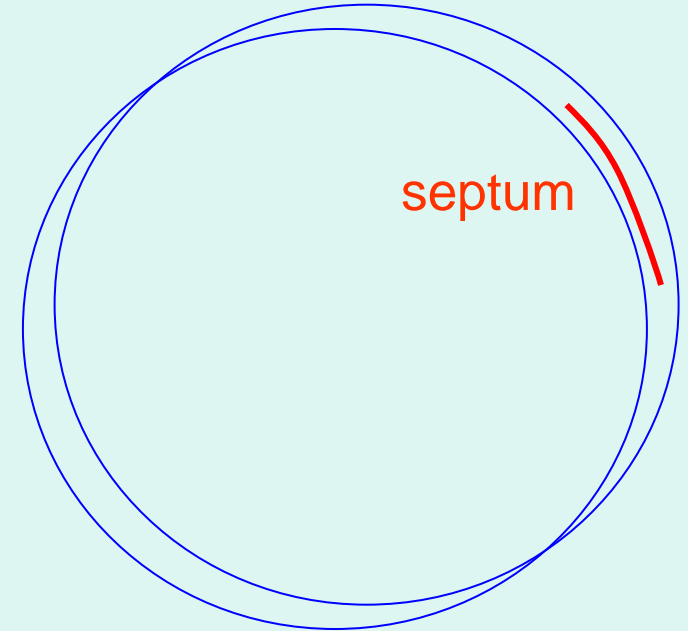
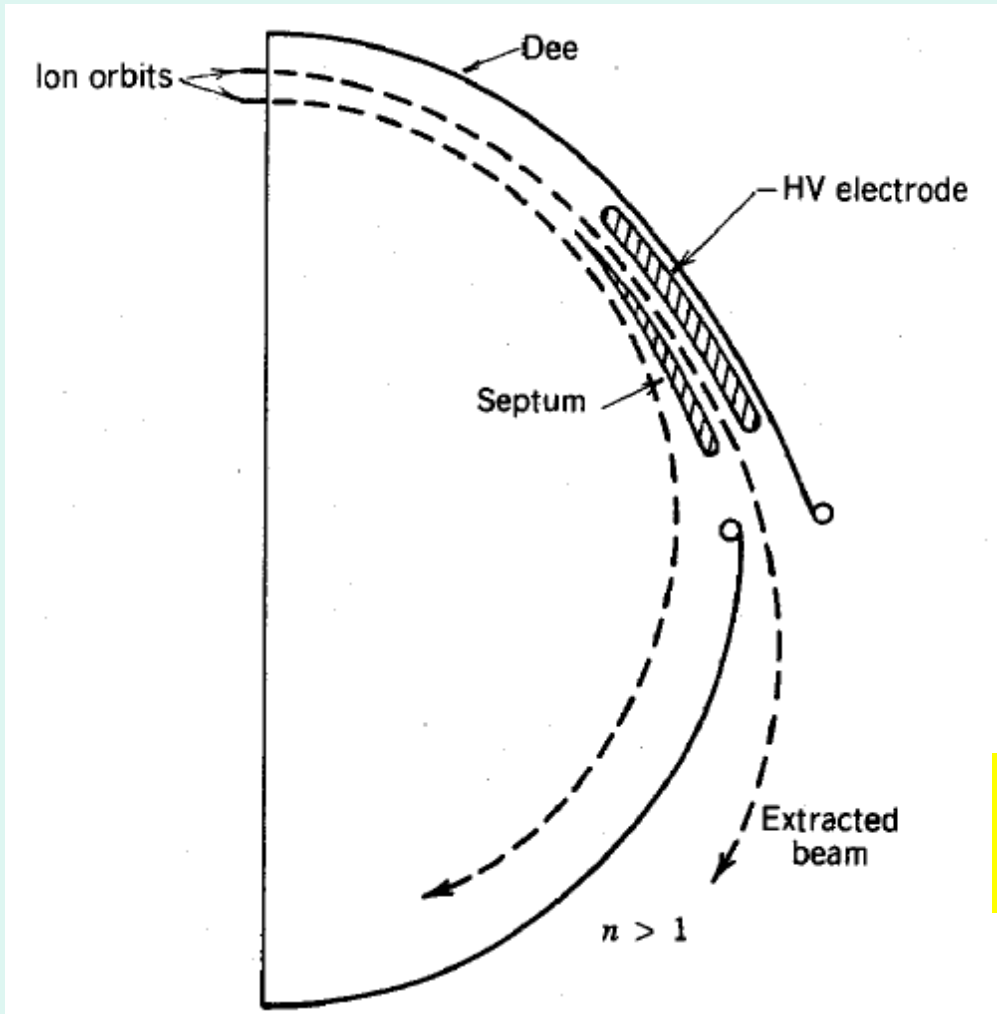
$$v_z^2(R) = n(R) + F(R) \cdot (1 + 2 \tan(\psi(R)))$$

to compensate :

- increasing $B\rho$
- Increasing defocussing by main field

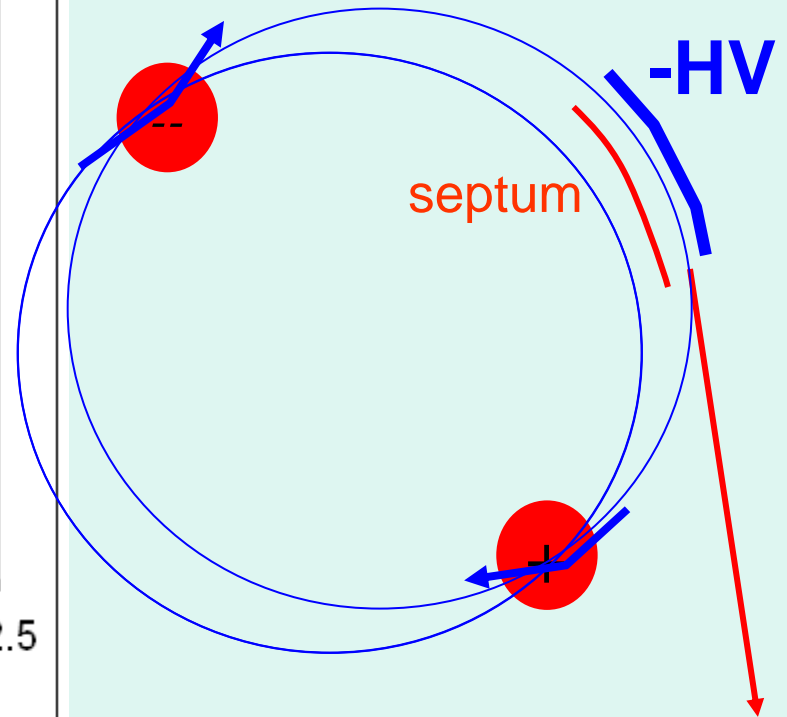
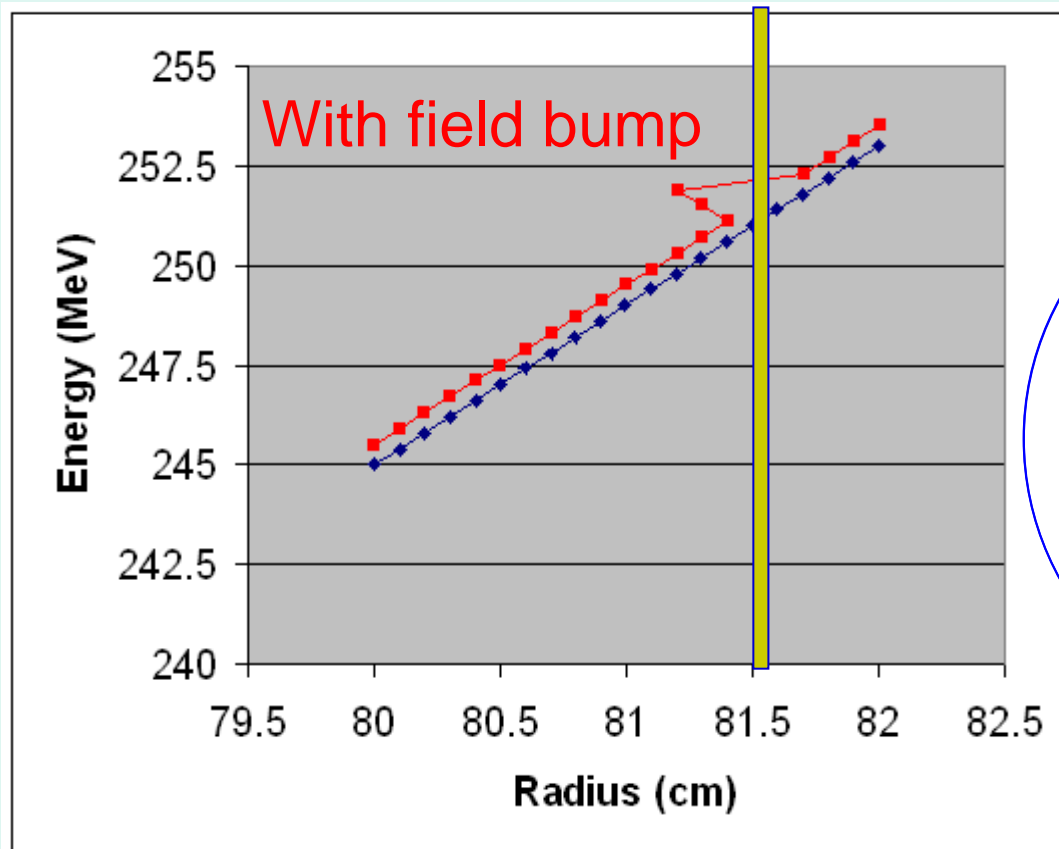
=> increase angle Ψ with radius => spiral shape

Extraction from cyclotron

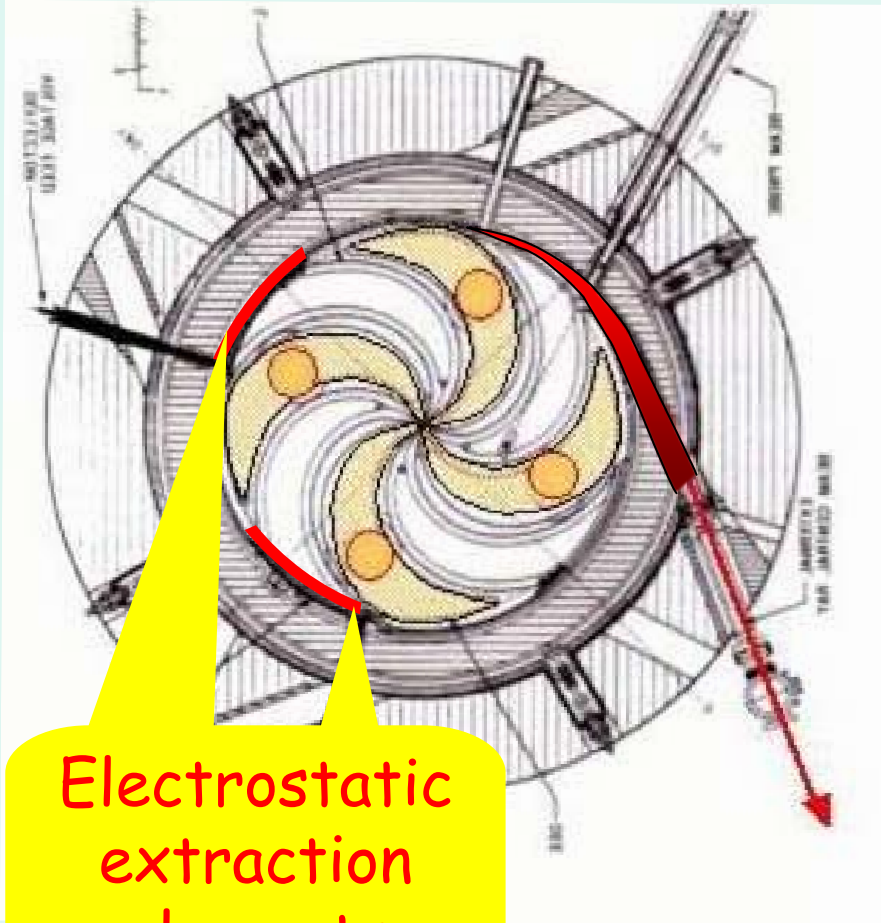


Resonant extraction: use $V_r=1$

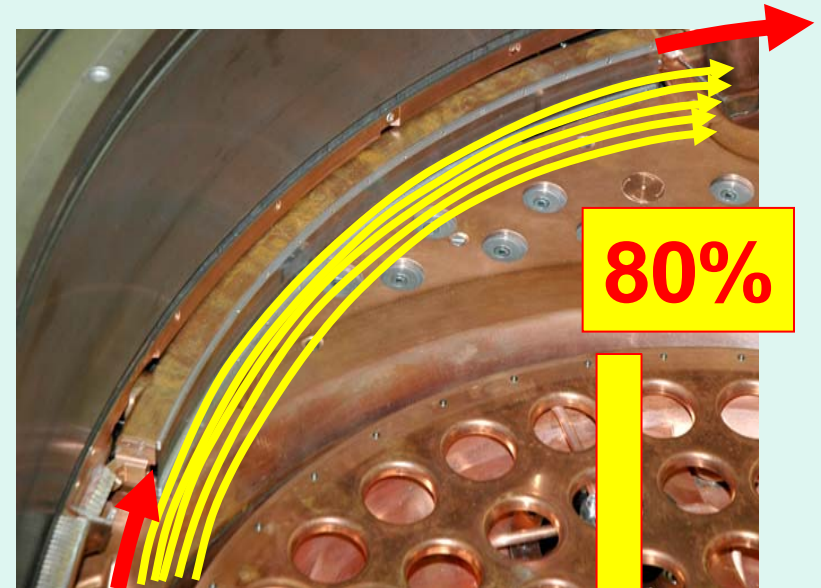
resonant extraction



Extraction from cyclotron



Electrostatic
extraction
elements



80%

Low radioactivity

(ACCEL / Varian)

Advantages of a cyclotron

=> a cyclotron provides:

- continuous beam
- any intensity
- very fast adjustable intensity
- accurate intensity control
- great reliability

+ range change of 5 mm < 50 ms

(with fast degrader and good magnets + power supplies)



