

Rapidity Gap Distributions in ATLAS

Oldřich Kepka

(Institut of Physics, Academy of Sciences, Prague)

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- **ATLAS Conf Note:** ATLAS-CONF-2011-059

Soft Diffraction at the LHC

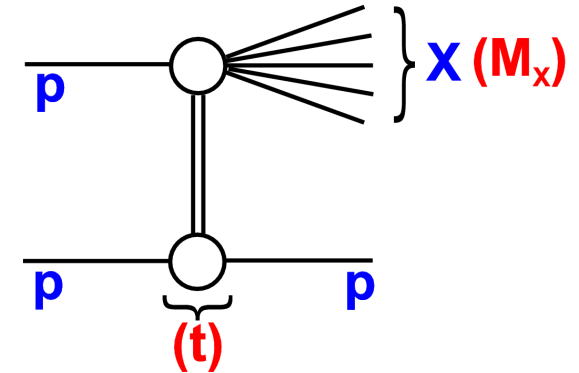
- Total cross-section at 7 TeV

- 20% elastic, 80% of inelastic

Diffractive fraction: $\sigma_D/\sigma_{\text{inel}} \sim 0.2-0.3$

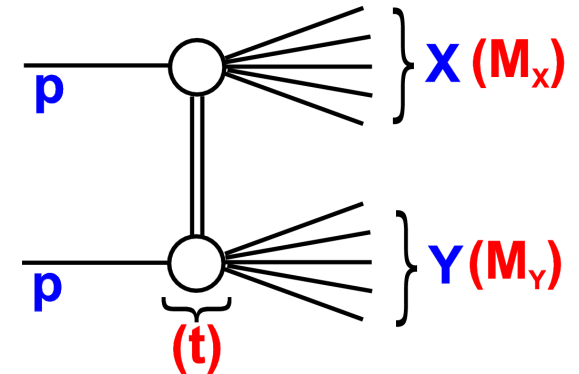
- Single Diffraction (SD) $pp \rightarrow pX$

$$\xi_X = M_X^2/s$$



- Double Diffraction (DD) $pp \rightarrow XY$

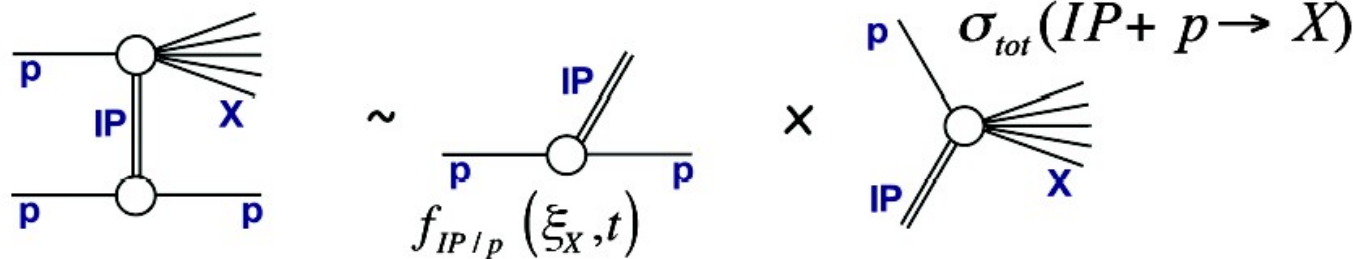
$$\xi_Y = M_Y^2/s$$



- At LHC, M_X, M_Y range from $m_p + m_\pi \rightarrow \sim 1\text{TeV}$
- Large uncertainties in cross section, especially DD

Modeling of Soft Diffraction

- Factorize SD into a pomeron (IP) flux and total p+IP cross section



- Calculate SD cross section from triple pomeron amplitudes

The diagram shows the calculation of SD cross section from triple pomeron amplitudes. On the left, a diagram shows two incoming protons (p) interacting via a pomeron (IP) to produce a final state X. This is shown to be approximately equal to the product of two separate diagrams. The first diagram shows a proton (p) interacting with a pomeron (IP) to produce a final state X, with the amplitude labeled $f_{IP/p}(\xi_X, t)$. The second diagram shows a proton (p) interacting with a pomeron (IP) to produce a final state X, with the cross section labeled $\sigma_{tot}(IP + p \rightarrow X)$.

$$\left| \begin{array}{c} p \\ \text{IP} \\ p \end{array} \right|^2 \sim \begin{array}{c} p \\ \text{IP} \\ p \end{array}$$

$$\frac{d\sigma}{d\xi dt} \propto \left(\frac{1}{\xi_X} \right)^{2\alpha(t) - \alpha(0)} e^{bt} \quad (\text{fixed } s)$$

$$[\alpha(t) = \alpha(0) + \alpha' t]$$

i.e approx: $\frac{d\sigma}{d\xi_X} \propto \frac{1}{\xi_X}$

- Implemented in PHOJET, PYTHIA models
- In reality $\alpha(0) \neq 1$... seen by ATLAS
- Deviation from triple-pomeron approach ?

How to see diffraction – Forward Gaps

- No proton tag SD data yet available → ALFA, AFP (future upgrade)

- Cross section vs. forward gap size

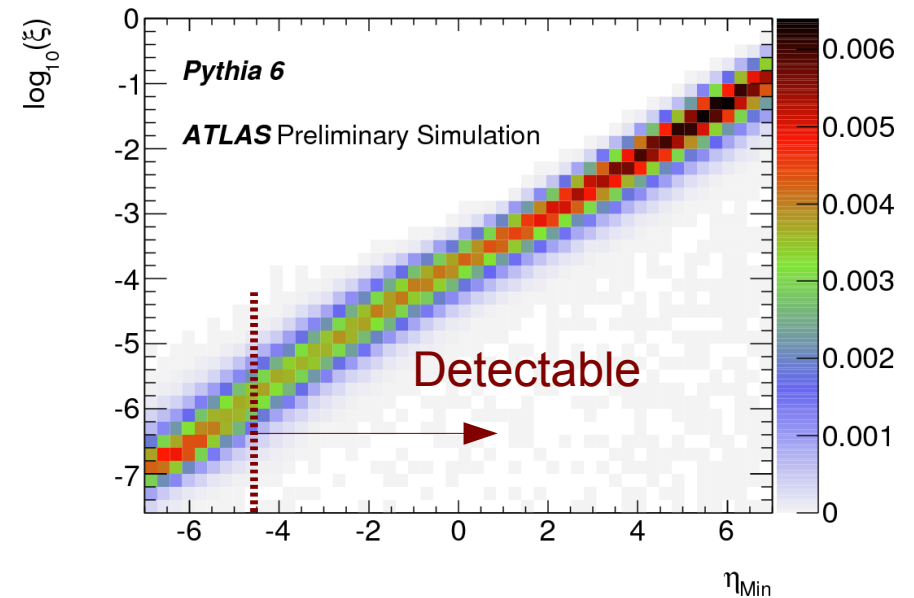
$$\Delta\eta \propto \log(1/\xi)$$

$$\frac{d\sigma}{d\xi} \propto \frac{1}{\xi} \Rightarrow \frac{d\sigma}{d\Delta\eta} \sim \text{flat}$$

- ξ relates to rapidity gap size inside detector ($|\eta| < 4.9$ calorimeter)

- Acceptance $10^{-6} < \xi < 10^{-2}$

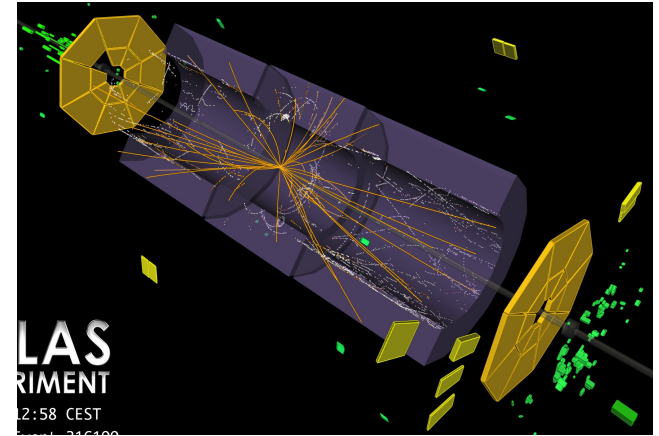
- Equivalently in terms of diffractive mass $7 < \sim M_X < \sim 700$ GeV



Forward Gap Detector Definition

- Measurement using Minimum Bias Trigger Scintillator (MBTS)

- Acceptance $2.09 < |\eta| < 3.84$
- Close to 100% efficiency for non-diffractive

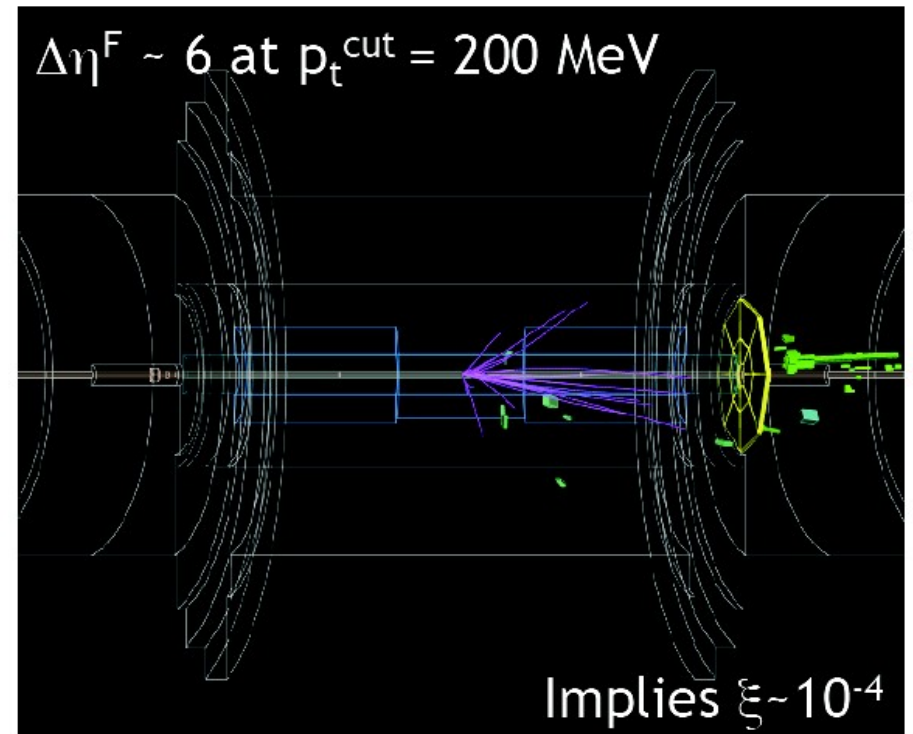


- Gap = Largest empty space on positive or negative side

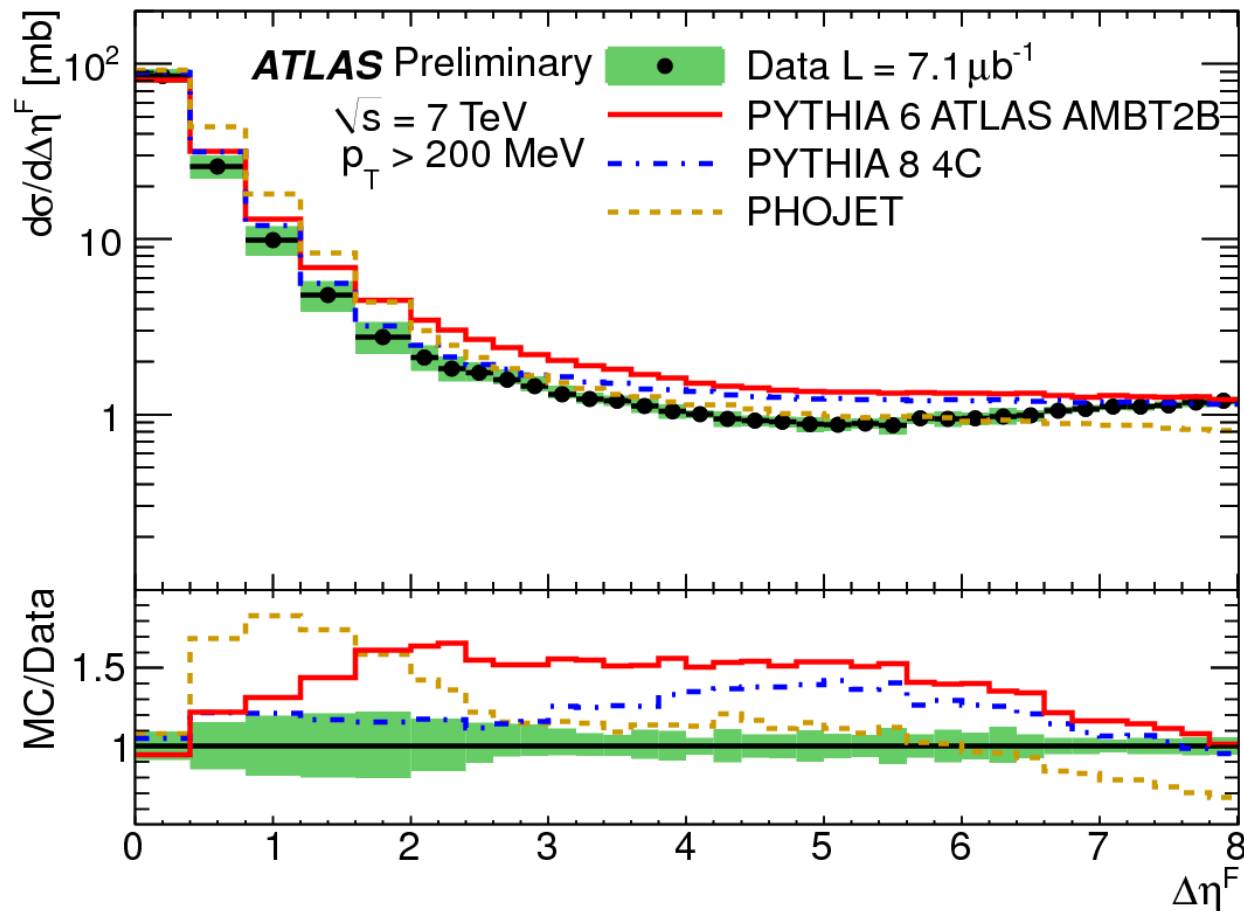
- Detector gap definition
- Calorimeter:
 - no cell above threshold $E/\sigma > S_{th}$
 - prb of noisy cell in ring smaller then 10^{-4}
 - electronic noise only, no pile-up environment
- Tracker:
 - no good track above $p_T > 200 \text{ MeV}$ $|\eta| < 2.5$

Differential Gap Cross Section

- Differential in gap size $\Delta\eta_F$
- $\Delta\eta_F$ extends from $\eta=\pm 4.9$ to first particle with $p_T > p_T^{\text{cut}}$
- Measured gaps up to size $0 < \Delta\eta_F < 8$
- 4 different kinematic phase-spaces
 - $200 \text{ GeV} < p_T < 800 \text{ GeV}$
- Data corrected for detector effect to hadron level



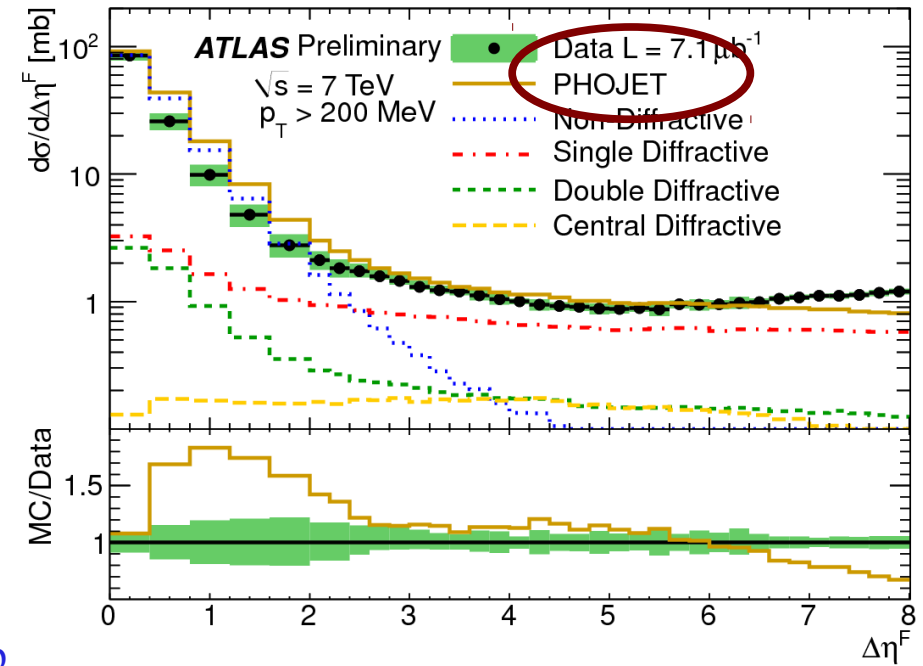
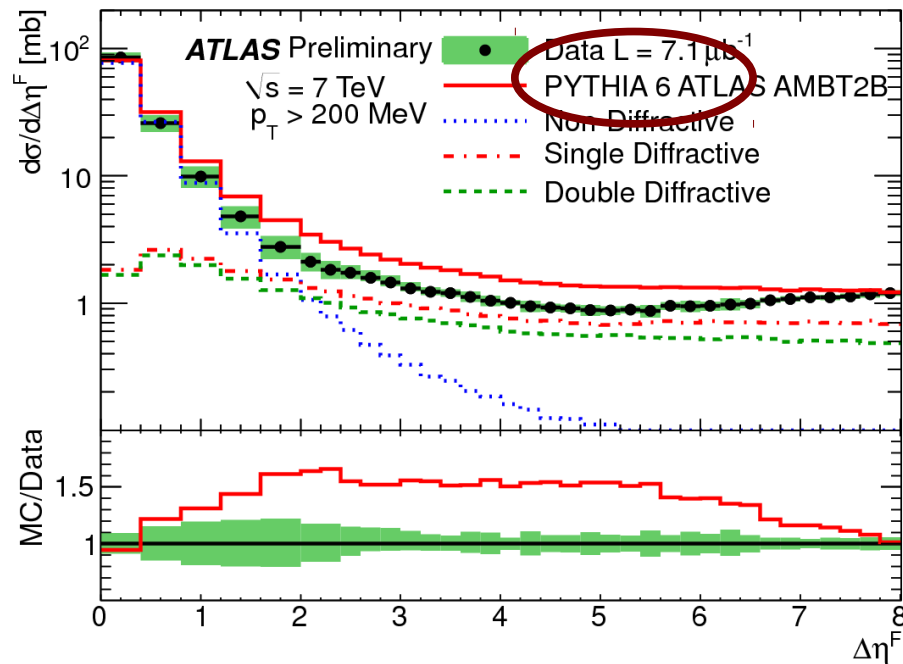
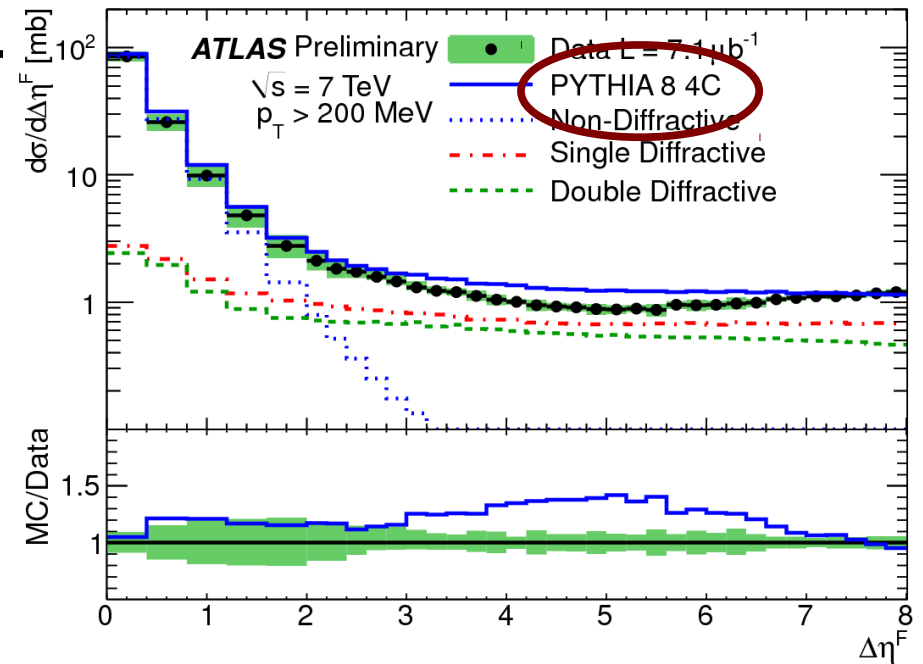
ATLAS: Forward Gap Cross Section



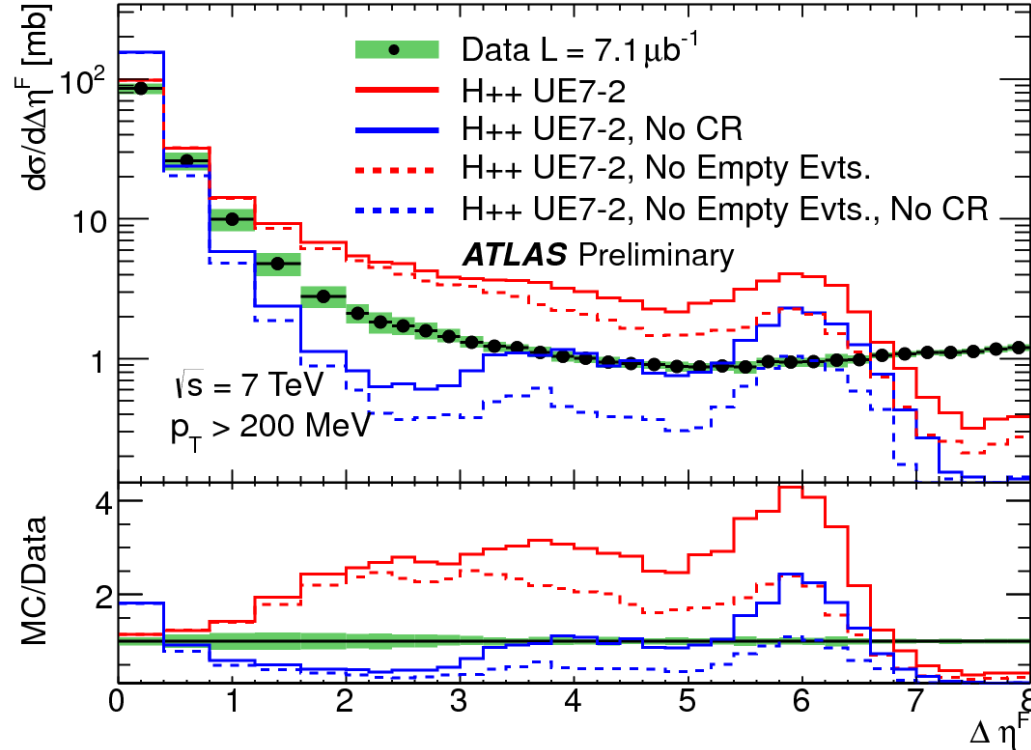
- Systematics uncertainties: $\sim 8\%$ large gaps $\sim 20\%$ around $\Delta\eta_F \sim 1.5$
- Small gaps sensitive to fluctuations in hadronization
- Large gaps dominated by SD and DD ($M_Y < \sim 7 \text{ GeV}$)

Small Gaps

- Big differences between models in modeling ND component
- Sensitive to tuning of MC in forward region
- PYTHIA8 best describes the data at small gaps
- PHOJET best at large gaps (but fails at low end completely)

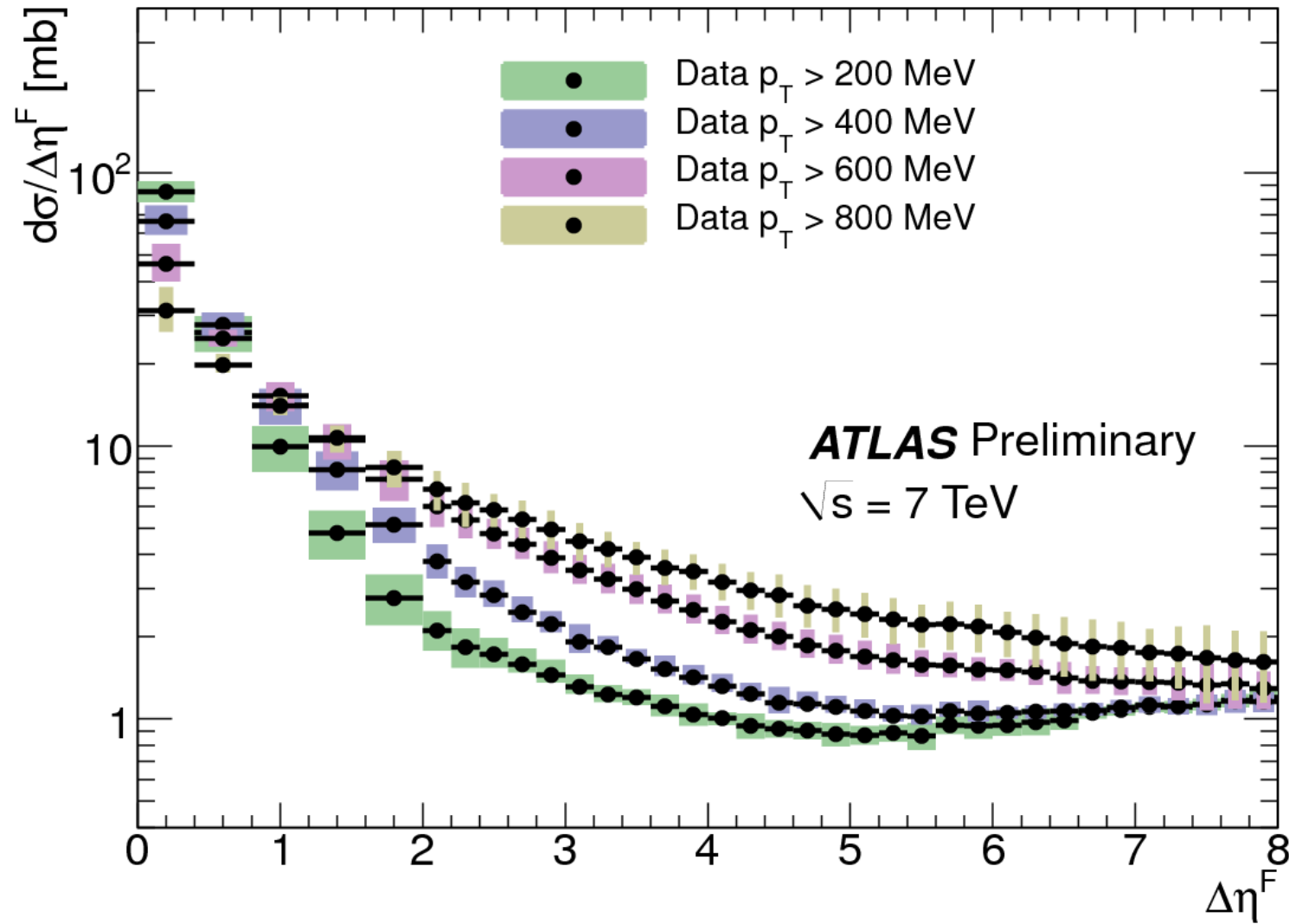


Herwig++: Cluster Fragmentation Model



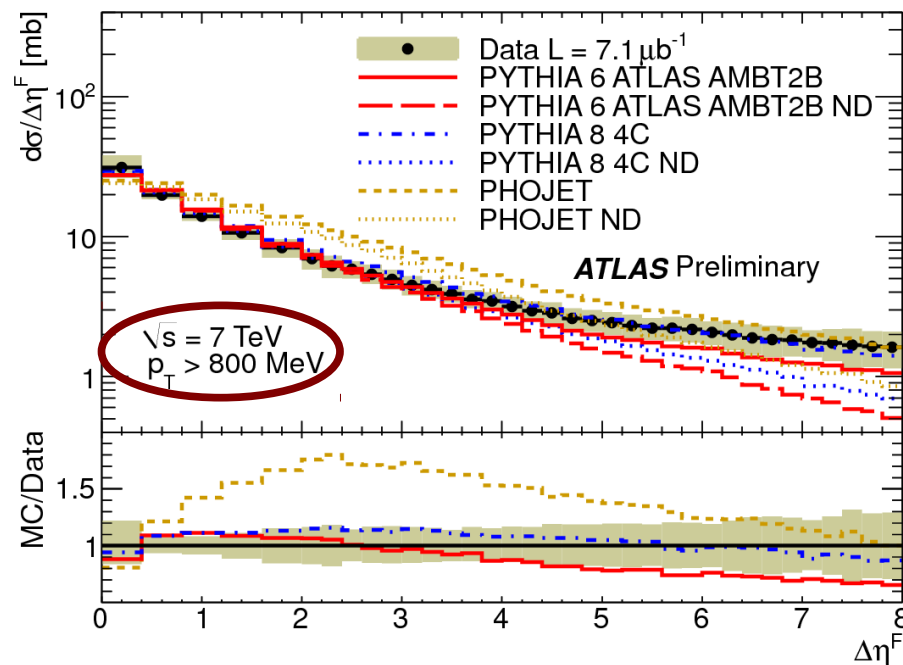
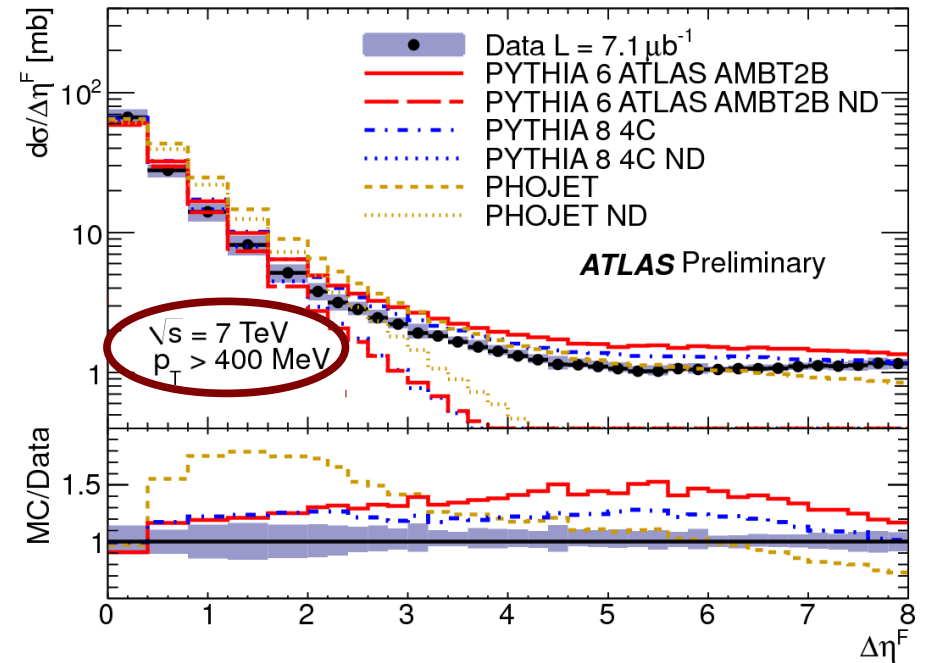
- H++ does not contain model of soft diffraction, but exhibits production of large gap above measured rate and a bump around $\Delta\eta_F=6$
=> Gap spectrum is a very good observable to check Cluster Model
- Effect not due to Color Reconnection (CR recent add-on to H++)
- Removing events with zero soft or semi-hard scatters also did not remove large gaps

Increasing the p_T^{cut} defining gaps



Increasing the p_T^{cut} defining gaps

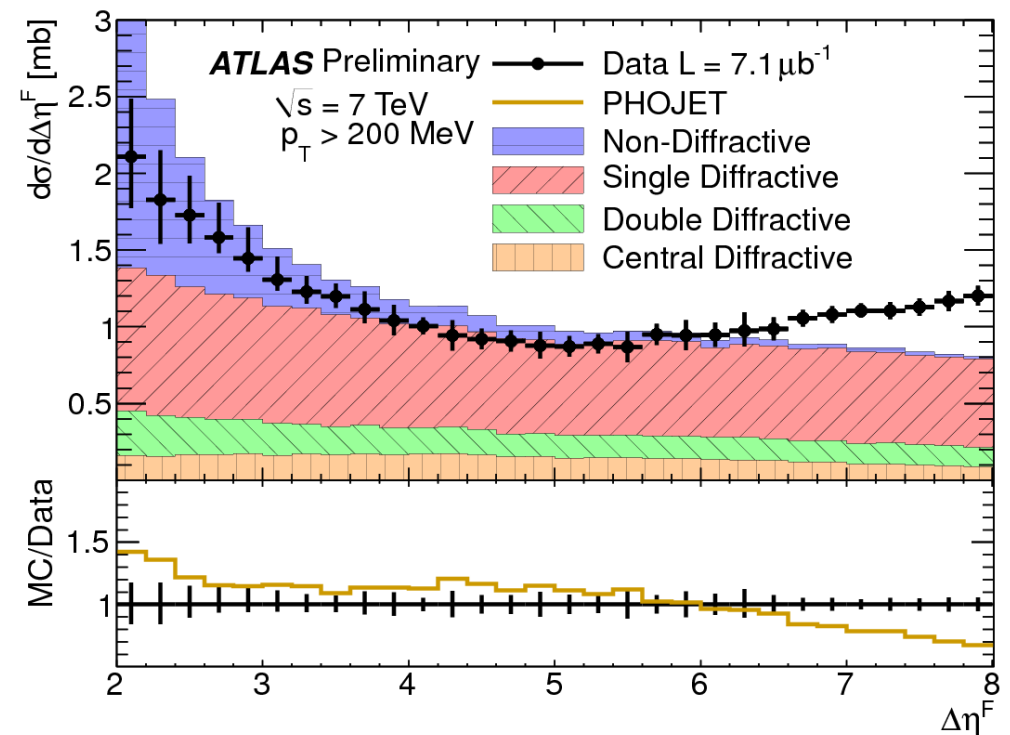
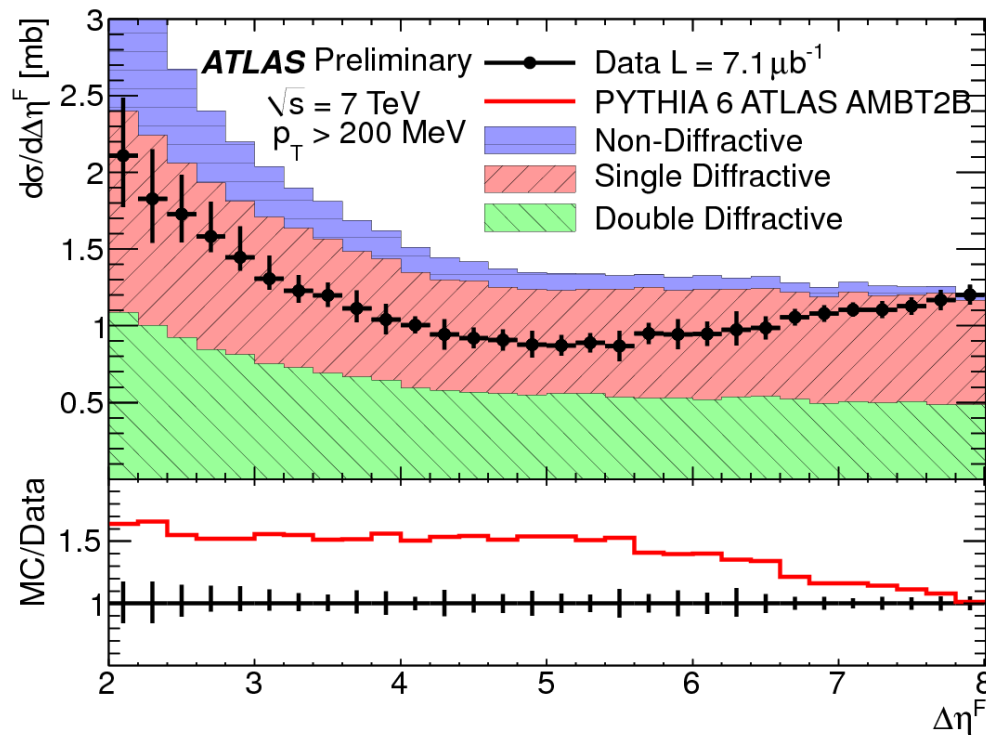
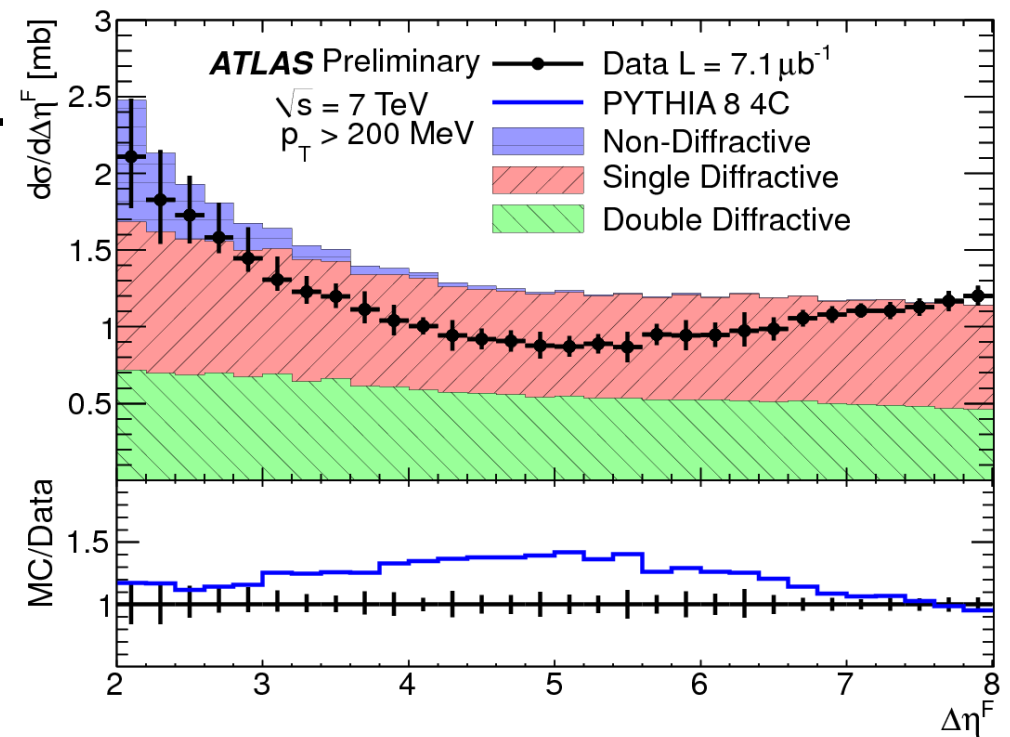
- As the p_T^{cut} increases, data show larger gaps
- Distributions probe the particle p_T^{cut} spectrum in forward region
- Sensitive to hadronization fluctuation and underlying event



- Important to measure gaps down to low p_T to see diffraction
- Diffractive/non-diffractive processes barely distinguished at $p_T^{\text{cut}} = 800$ GeV

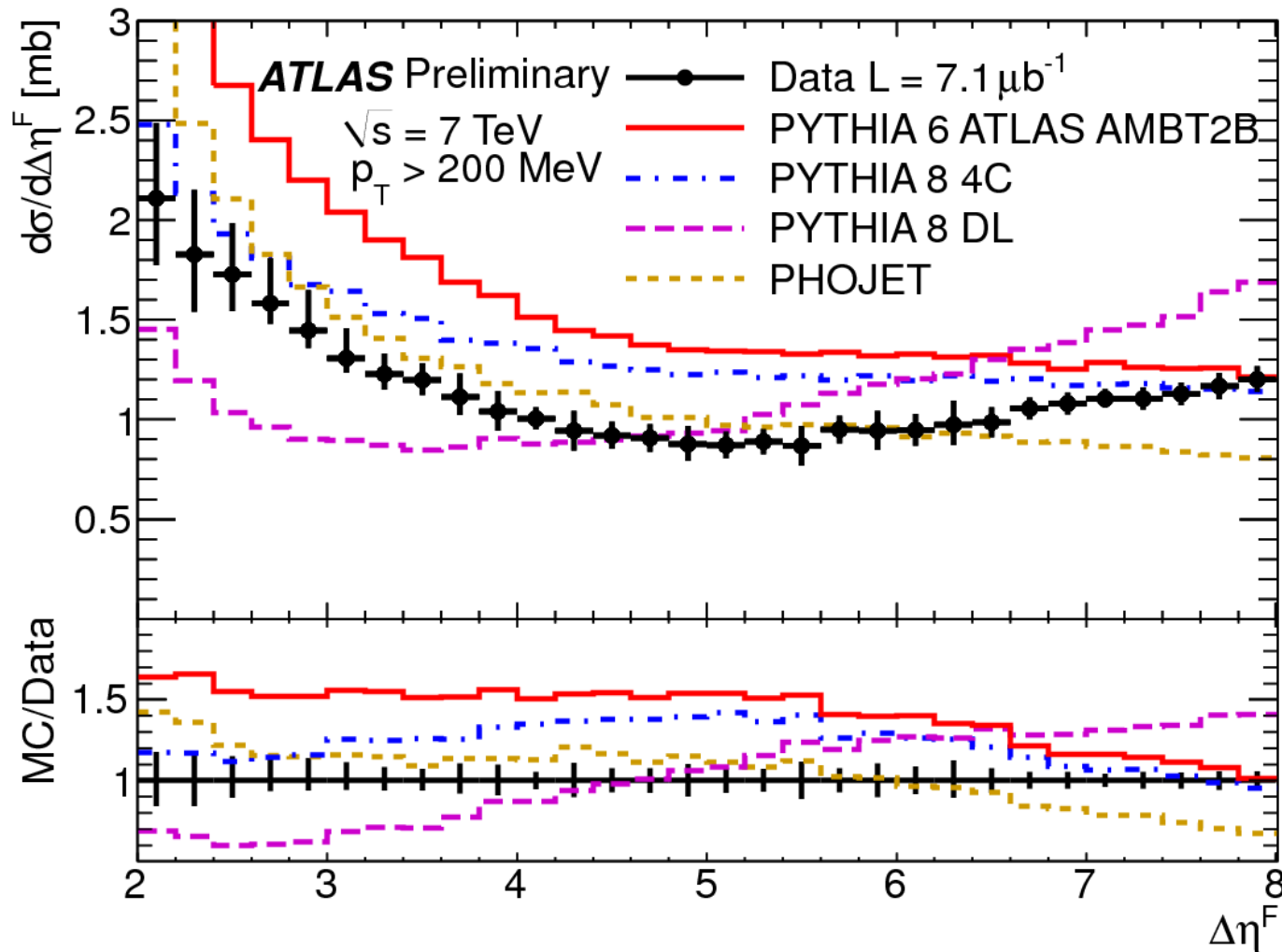
Large gaps

- Diffractive plateau ~ 1 mb per unit of gaps size for $\Delta\eta_F > 3$
- PHOJET too small in the tail
- PYTHIA too high (DD contribution larger than in PHOJET)



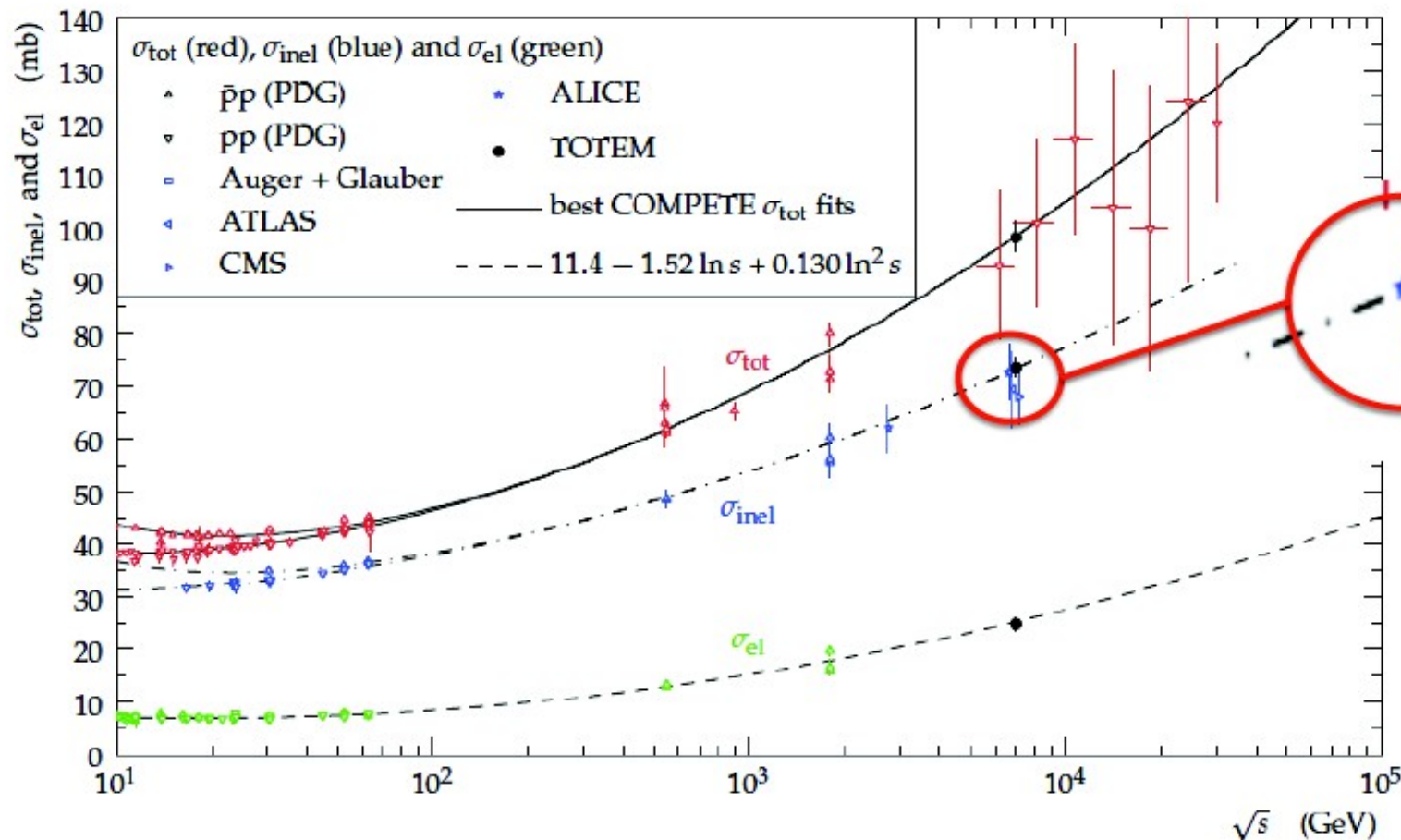
Dynamics of large gaps

- PYTHIA has $\alpha_p(0) = 1.0$
- Donnachie-Landshoff flux has $\alpha_p(0)=1.085$
- Data laying somewhere in between these models ...

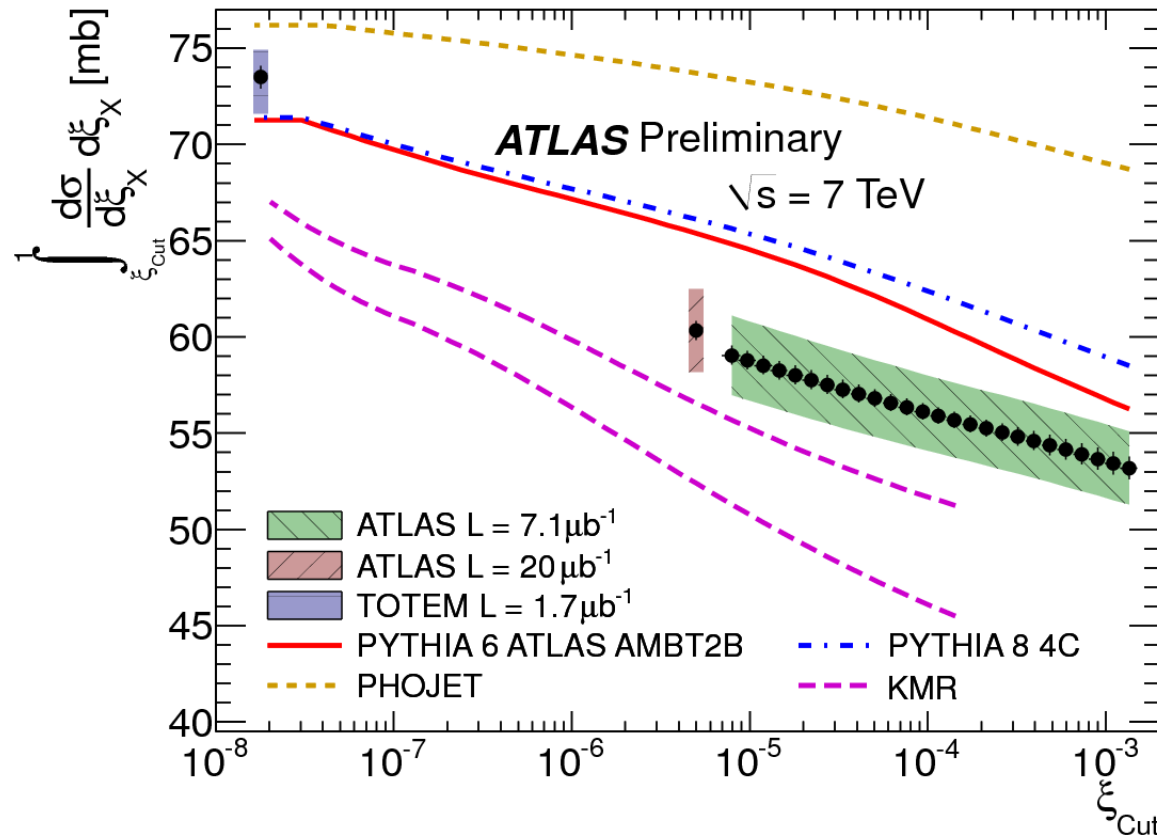


Link to Total Inelastic Cross Section

- Current picture on the total cross section (TOTEM)
- ATLAS and CMS central values lower than TOTEM
 - after extrapolation to low ξ region below $\xi=1 \times 10^{-6}$ (extrapolation error dominant)



Uncertainties in Low ξ Extrapolation



- Cross section integrated up to some max $\Delta\eta_F$ (equivalently min ξ_X) and compared with TOTEM
- Indication that small ξ_X region underestimated in PHOJET and PHYTHIA:

Summary

- Soft diffractive processes measured in ATLAS
 - Crucial: response to single particles in forward calorimeters under control down to 200 MeV
- Small non-zero gaps sensitive to hadronization / underlying event
- Large gaps probe the diffractive dynamics
- => Probes of soft MC models → tuning
- Compare with TOTEM → constrains of low mass diffraction

- Data to be included in HepData with all components of systematics uncertainties
 - allow theorists to fully interpret the data

Additional Material

Inelastic Cross-Section Measurement

- Defined within MBTS acceptance ($M_x > 15.7$ GeV)
 - At least 2 MBTS hits

- Background and trigger efficiency measured in Data

$$\sigma(\xi > 5 \times 10^{-6}) = \frac{N - N_{BG}}{\epsilon_{trig} \times \int L dt} \frac{1 - f_{\xi < 5 \times 10^{-6}}}{\epsilon_{sel}}$$

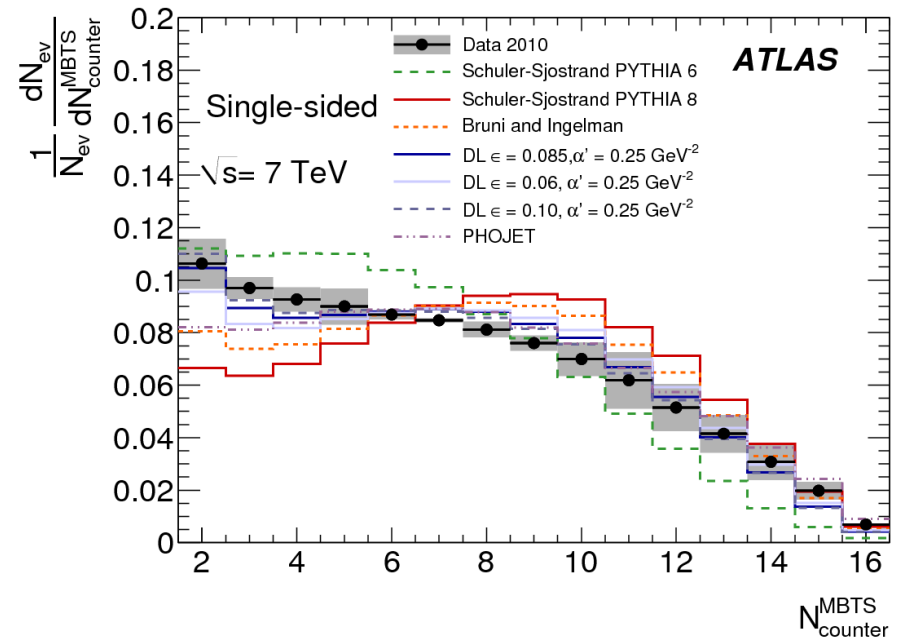
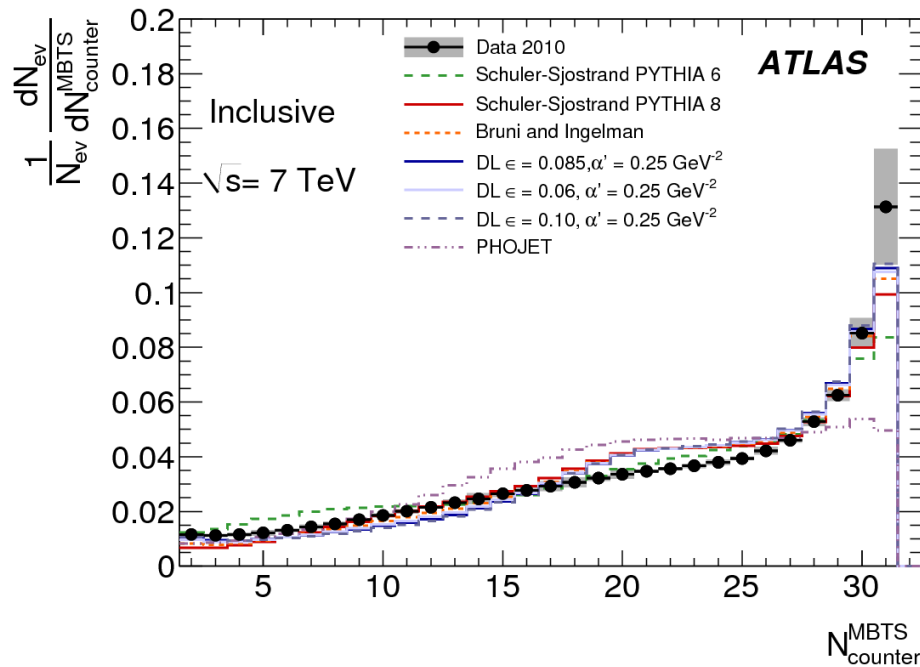
- Luminosity from Beam Scan Calibration

- Correction factors taken from MC, detector response tuned to Data

- Dataset: 1.2 M Events
(2nd day of 7 TeV LHC stable beams, 2010)

- Default model used **Donnachie and Landshoff** with $\epsilon = 0.084$, $\alpha' = 0.25$ GeV⁻²

Inclusive and Single-Sided Samples



- **Inclusive sample (N_{inc}):**
used for the measurement
- For most of the distribution, models span the Data

- **Single-Sided sample (N_{ss}):**
requires hit on **one** side of MBTS only
 - Dominated by diffraction
- Used to constrain contribution of diffractive events to inclusive sample

Diffractive Fraction

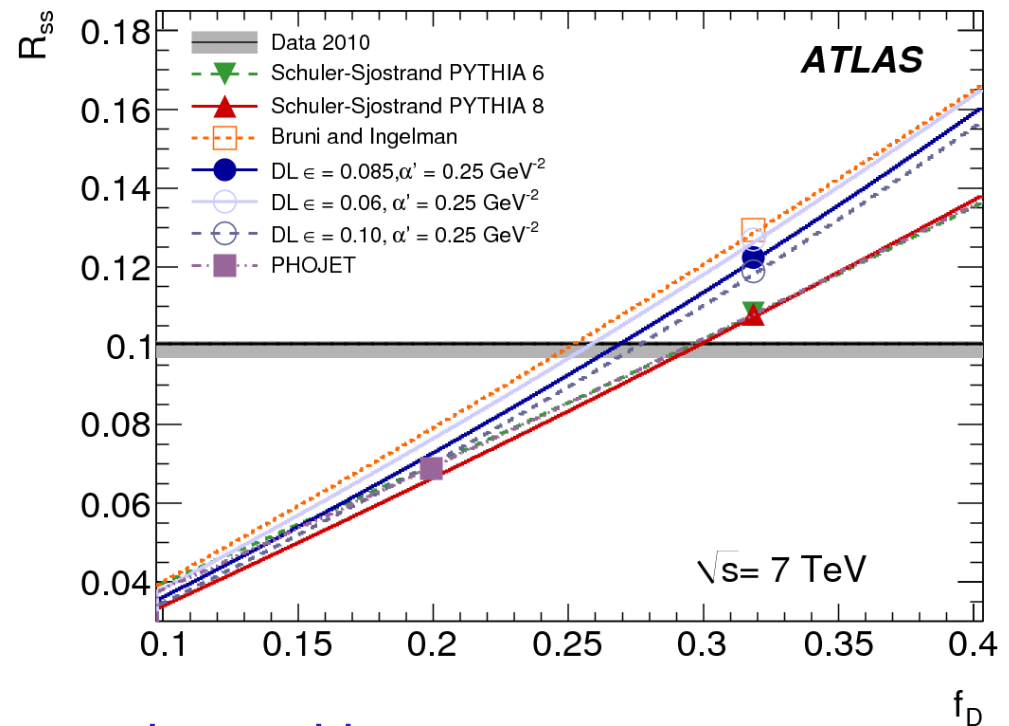
- Fractional contribution of diffractive events (f_D) varies significantly between models

$$R_{ss}(f_D) = \frac{N_{SS}}{N_{inc}}$$

$$= \frac{A_{SS}^D f_D + A_{SS}^{ND} (1 - f_D)}{A_{inc}^D f_D + A_{inc}^{ND} (1 - f_D)}$$

- Constrain f_D by finding a value which reproduces the ratio of single-sided to inclusive event sample (R_{ss}) seen in Data

- Default model yields:
 $f_D = 26.9_{+2.5}^{-1.0} \%$



- Calculate MC dependent corrections with tuned model

Results

- The cross-section is obtained using

$$\left. \begin{array}{l} - \epsilon_{\text{sel}} = 98.8\% \\ - \epsilon_{\text{trig}} = 99.8\% \\ - f_{\xi < 5 \times 10^{-6}} = 1\% \end{array} \right\} 0.4\% \text{ Correction factor small}$$

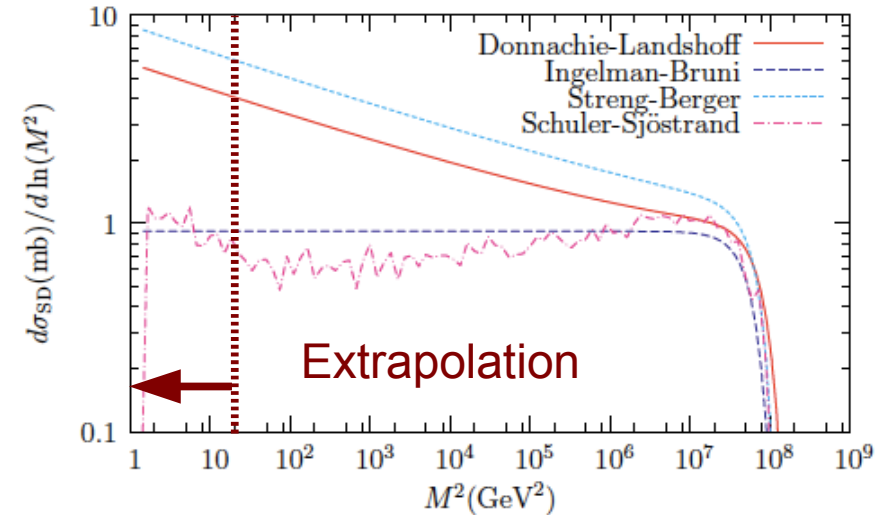
- Luminosity $20 \mu\text{b}^{-1}$

$\sigma(\xi > 5 \times 10^{-6}) [\text{mb}]$	
ATLAS Data 2010	$60.33 \pm 2.10(\text{exp.})$
Schuler and Sjöstrand	66.4
PHOJET	74.2
Ryskin <i>et al.</i>	51.8 – 56.2

- Default PYTHIA/PHOJET above Data, analytic calculation of Ryskin *et al.* below Data

Extrapolation to σ_{inel}

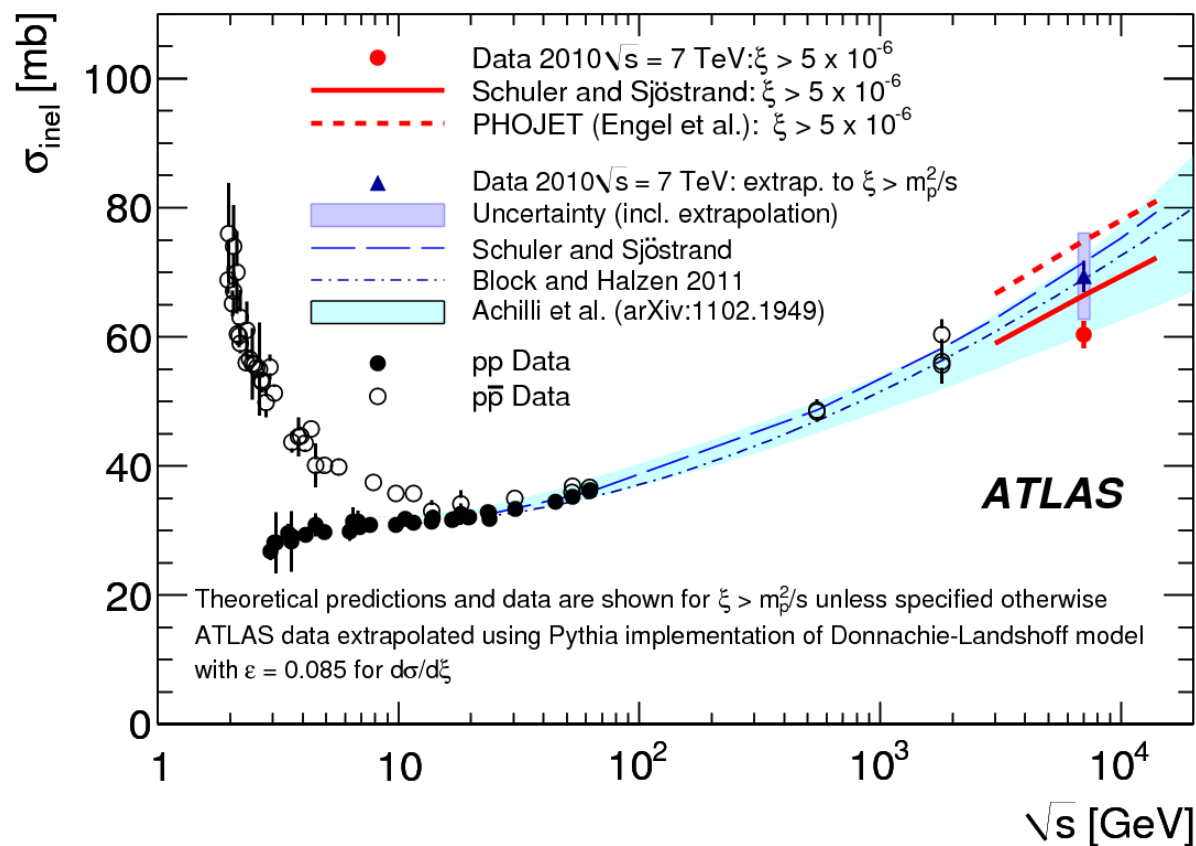
- To compare with previous experiments, Data are extrapolated using DL default model (+15%)
 - Other models range from 5% to 25%
 - Systematic uncertainty taken as 10%



$\sigma(\xi > m_p^2/s) \text{ [mb]}$	
ATLAS Data 2010	$69.4 \pm 2.4(\text{exp.}) \pm 6.9(\text{extr.})$
Schuler and Sjöstrand	71.5
PHOJET	77.3
Block and Halzen	69
Ryskin <i>et al.</i>	65.2 – 67.1
Gotsman <i>et al.</i>	68
Achilli <i>et al.</i>	60 – 75

- Good agreement with most of the models
- Data lower than PHOJET

Comparison: Other Experiments



- Extrapolated value:

$$69.4 \pm 2.4(\text{exp.}) \pm 6.9(\text{extr.})$$

- Fiducial cross-section

$$60.33 \pm 2.10(\text{exp.})$$

- by factor 3 more precise than extrapolated value

- Presented first measurement of inelastic cross-section

- Data lower than MC predictions, extrapolated value agrees with models

The Gap Measurement

- Truth gap definition

- No stable particle above $p_T > 200$ MeV

- p_T cut to approximate energy threshold in calorimeter that rises with $|\eta|$

$$\left[\frac{d\sigma}{d\Delta\eta^F} \right]^i = \frac{\mathcal{M}^{ij}}{\Delta\eta_{ring} \times \int L dt} \left[\frac{N - N_{BG}}{\epsilon} \right]^j$$

- Background and trigger efficiency from Data
- MBTS selection efficiency from MC
- Account for migration of events (Bayesian unfolding)

