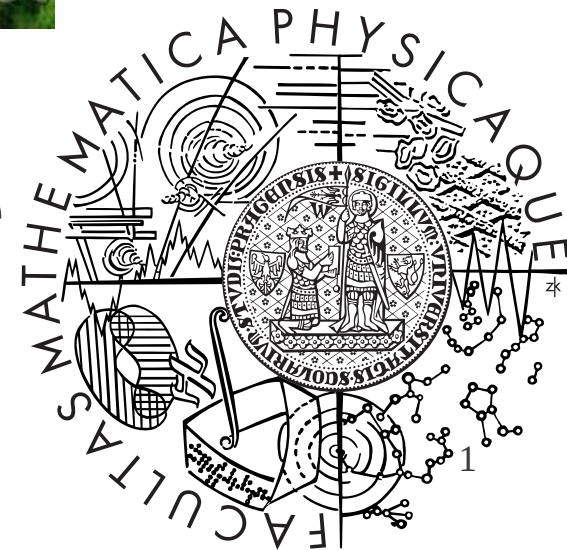


# Theoretical Tools for (Hard) Diffraction at LHC

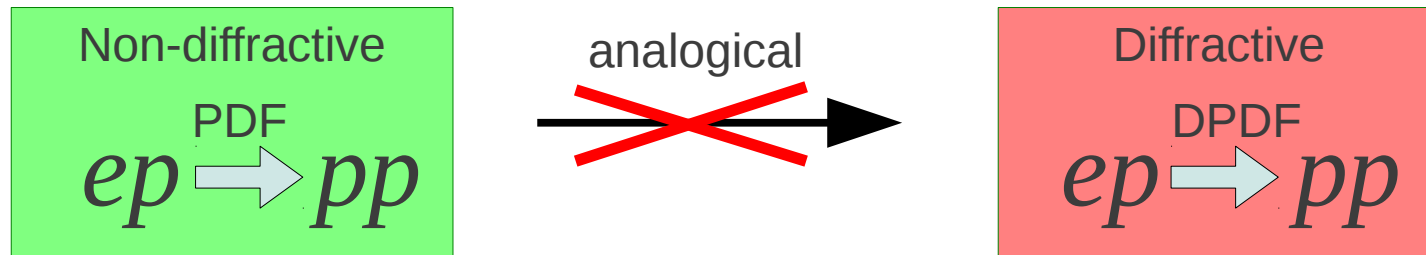


Radek Žlebčík  
Charles University, Prague  
Krakow 2011



# Factorisation in Diffraction

- The simple idea of using diffractive PDF from ep (as in non-diffractive case) to predict pp diffractive cross-section does not work (at Tevatron by factor up to 10)



- To calculate the suppression factors for different beam energies and different final state kinematics is a great theoretical challenge
- On the other hand, theoretical predictions based on factorization theorem can be compared with measurements and then used to estimate suppression factors.

Suppression factor  
for certain process:

$$S^2 = \frac{\sigma(data)}{\sigma(theory)}$$

Based on ep DPDFs

# Tests of Diffractive Factorisation

- Diffractive factorisation successfully tested for dijet production and  $D^*$  production in DIS by H1 and ZEUS
- **HERA DPDF fails to predict hadron-hadron diffractive cross sections!**

Suppression factor  
for certain process:

$$S^2 = \frac{\sigma(data)}{\sigma(theory)}$$

Based on ep DPDFs

Tevatron  
 $S^2 \approx 0.1$

$\beta$ -dep. factor

LHC  
 $S^2 \approx 0.03$

?

HERA  
Incl., dijet in **DIS**  
 $S^2 \approx 1$

HERA  
 $D^*$  in **DIS**  
 $S^2 \approx 1$

?

HERA  
Dijet in **PHO**  
 $S^2 \approx (0.5, 1.0)$

HERA  
 $D^*$  in **PHO**  
 $S^2 \approx (0.7, 1.3)$

low statistics  
within errors  
fact. holds

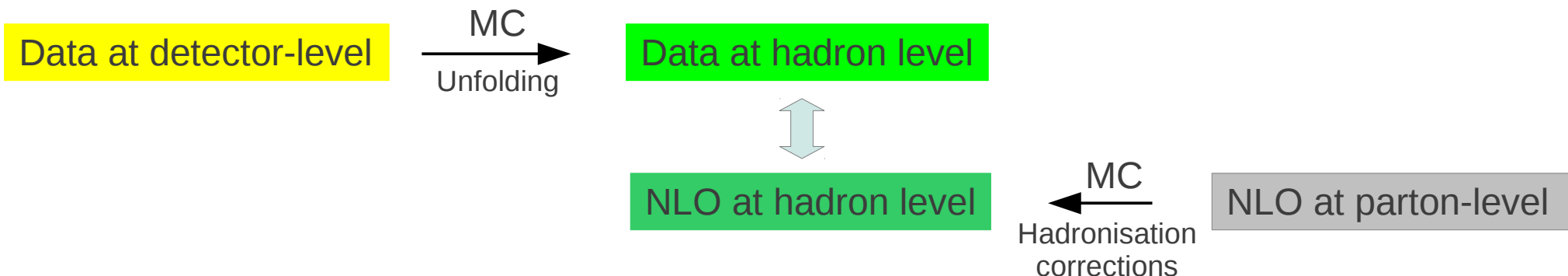
# MC and NLO Advantages/Disadvantages (pp at LHC)

## MC

- Event-to-event generation
- ME in LO
- Parton-showers
- Hadronisation implemented
- Used for detector simulation+simulation of hadronisation effects

## NLO

- Analytical calculations
- ME in NLO
- Complicated (non-existing) matching of ME with corresponding NLO parton-showers
- Only at parton level
- Used for calculation of cross-sections at parton-level

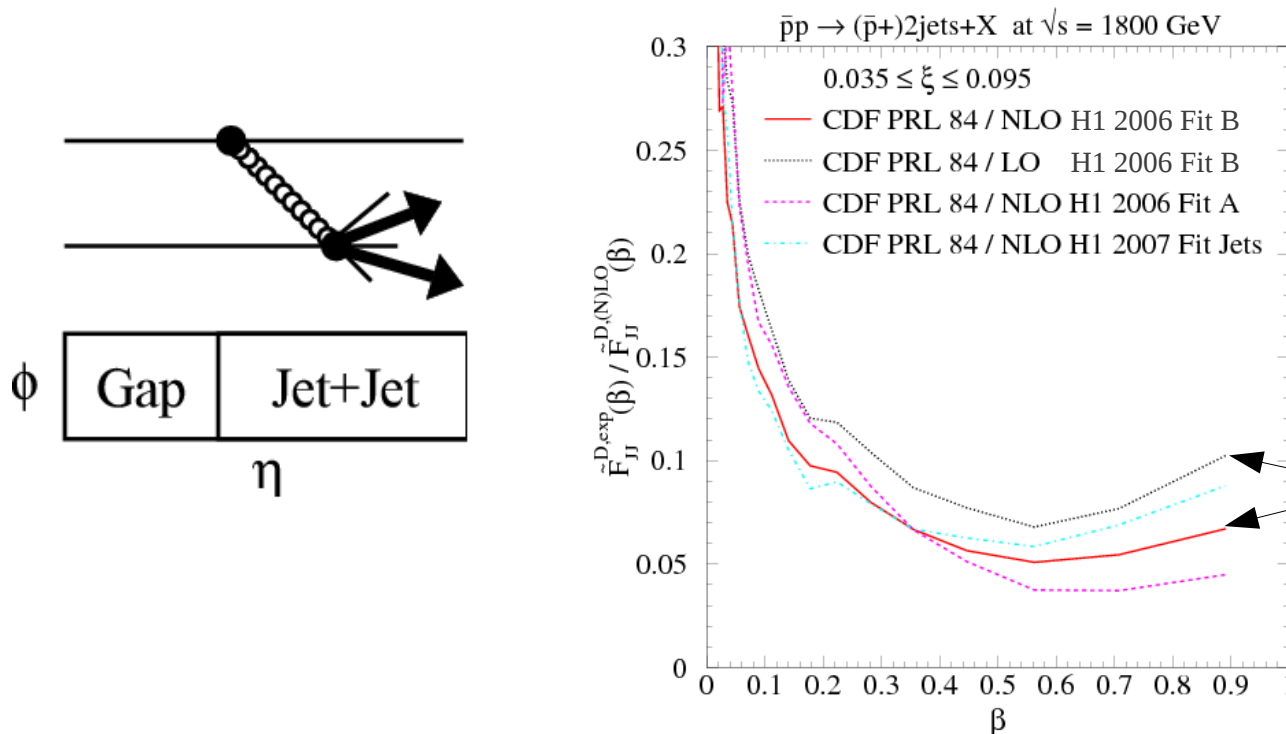


**MC@NLO** only special processes (H, W, t,... production), not for inclusive QCD processes

# Single-Diffractive Dijet Analysis at Tevatron

CDF Collaboration, Phys. Rev. Lett. **84**, 5043 (2000)

- The first NLO calculations for this process performed by **M. Klasen** ([arXiv:0908.2531](https://arxiv.org/abs/0908.2531))
- However the data cross-section was obtained with symmetric  $E_T$  jet cuts of 7 GeV
- Asymmetric cuts used only in calculations (7 GeV, 6.6 GeV) → comparison with data problematic



$\beta$ -dependent  
suppression factor!

NLO/LO  $\sim 2$

# My Goal

- The implementation of NLO calculations for single-diffractive dijet production in pp
- Studies of cuts for jets for NLO calculations
- Comparison of RAPGAP MC and POMWIG for single-diffractive dijet production in pp

# NLO Single-Diffractive pp Calculations for ATLAS

- Analysis of low-luminosity ATLAS data in progress. Single-diffractive events selected by rapidity gap method, cuts for first and second jets are different to have proper NLO predictions
- **FRIXIONE** and **NLOJET++** modified for single diffraction by slicing in  $\xi (= x_{IP})$  variable and compared each other and with RAPGAP MC without parton-showers

$$\xi = 1 - \frac{E_p'}{E_p}$$

$$z_{IP} = \frac{\sum_{jets} (E + P_z)_i}{2 \xi E_{beam}}$$

# Modification of pp NLO for diffraction

Single-diffraction in resolved pomeron model effectively corresponds to collision of:

$$\begin{array}{l}
 \text{proton} \quad E_p = E^{beam} \quad f_p(x, \mu^2) \\
 + \\
 \text{pomeron} \quad E_{IP} = \xi E^{beam} \quad f_{IP}(z, \mu^2)
 \end{array}$$

$$E_{CMS} = \sqrt{\xi} E_{CMS}^0 \quad \eta_{CMS} = -\frac{1}{2} \log \frac{1}{\xi}$$

Slicing in  $\xi$  variable (consistent with chosen  $\xi$  binning),  
x-section of A in bin i given by factorization formula

$$\sigma_{A_i} = \sum_j f_{IP/p}^{|t| < |t_0|}(\xi_j) \sigma_{A_i}^{\xi_j} \Delta \xi_j$$

Pomeron flux

NLO is run for each  
slice j separately

Two NLO QCD programs used:

- **NLOJET++** (in C++, Z. Nagy)
- **FRIXIONE** (in Fortran, S. Frixione, G. Ridolfi)
- Analysis routines in **C++**, **Fortran** respectively



# NLOJET++ 2D $E_T^{\text{jet1},2}$ X-Section

- Total x-section with symmetric cuts negative!

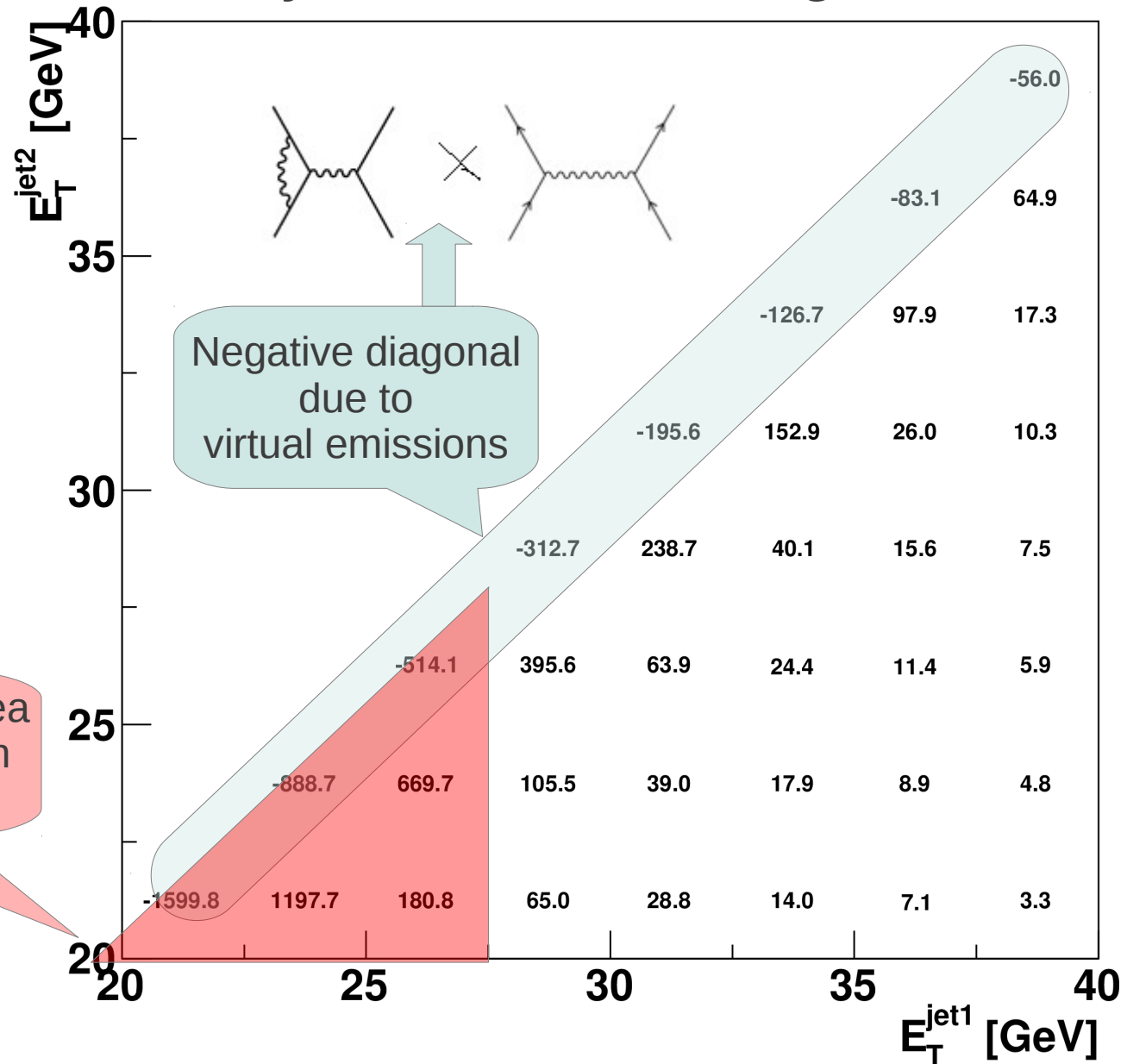
Single-diffraction  
Leading proton  
goes to positive  $z$   
direction

$$\begin{aligned} E_T^{\text{jet1},2} &> 20 \text{ GeV} \\ -5 < \eta^{\text{jet1},2} < 3 \\ \xi < 0.03 \\ |t| < 1 \text{ GeV}^2 \end{aligned}$$

Anti-kT jet alg – R=0.6

Cuts proposed by  
Birmingham ATLAS group

Cutting this dangerous area  
makes the total x-section  
positive



# NLOJET++ - Safe $E_T^{\text{jets, cut}}$ Difference?

- $E_T^{\text{jet1}}$  must have typical exponential shape

Anti-kT R=0.6

$E_T^{\text{jet1, cut}} = 26 \text{ GeV}$

Anti-kT R=0.4

$E_T^{\text{jet1, cut}} = 28 \text{ GeV}$

- Jet algorithm absorbs infrared divergences  
Small R  $\rightarrow$  Divergences remain unabsorbed

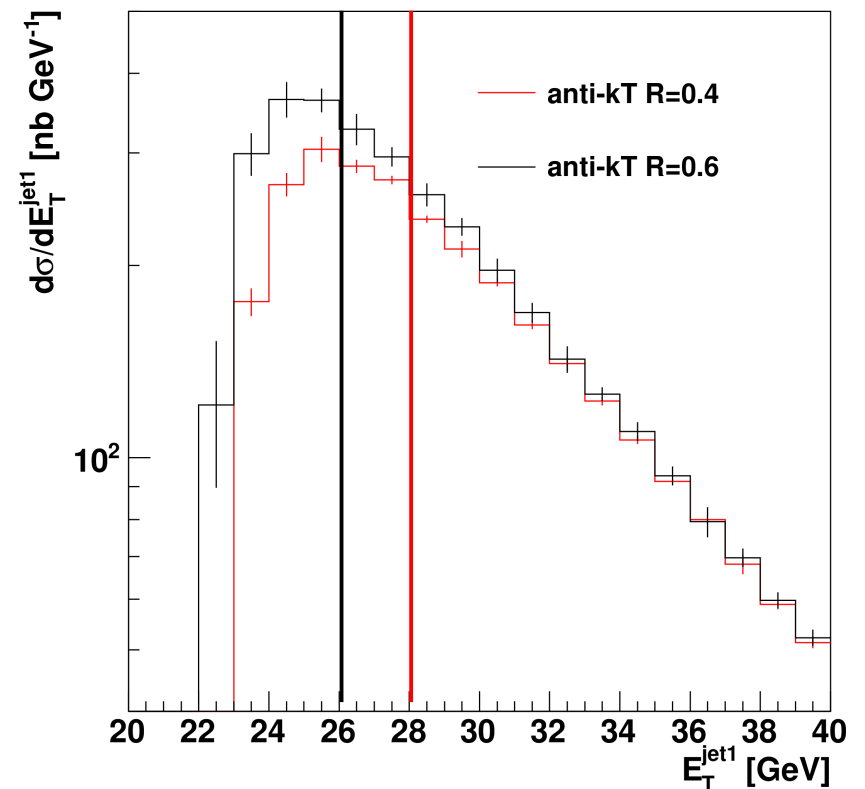
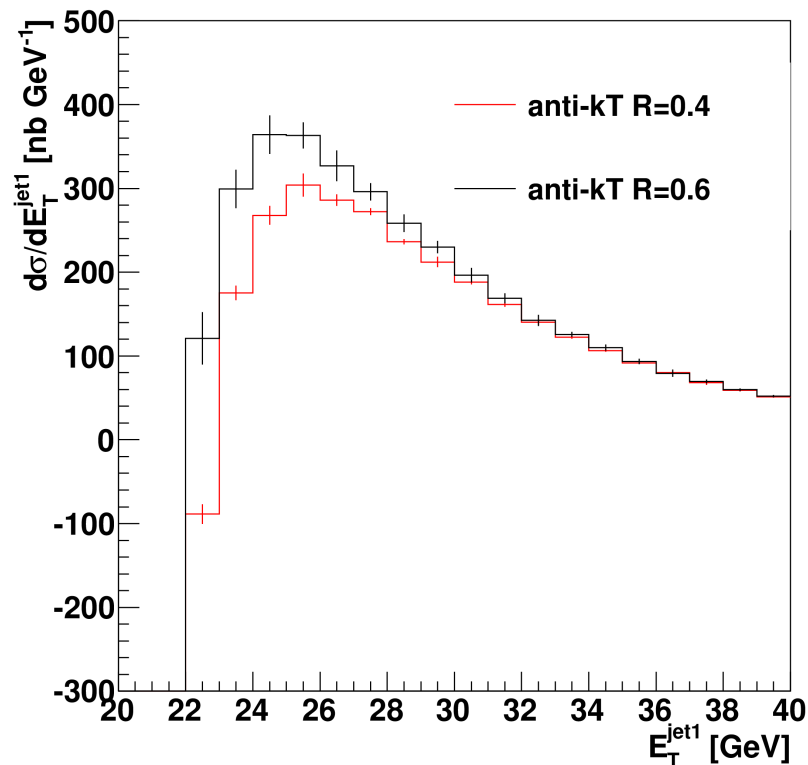
Cuts as before:

$E_T^{\text{jet1, 2}} > 20 \text{ GeV}$

$-5 < \eta^{\text{jet1, 2}} < 3$

$\xi < 0.03$

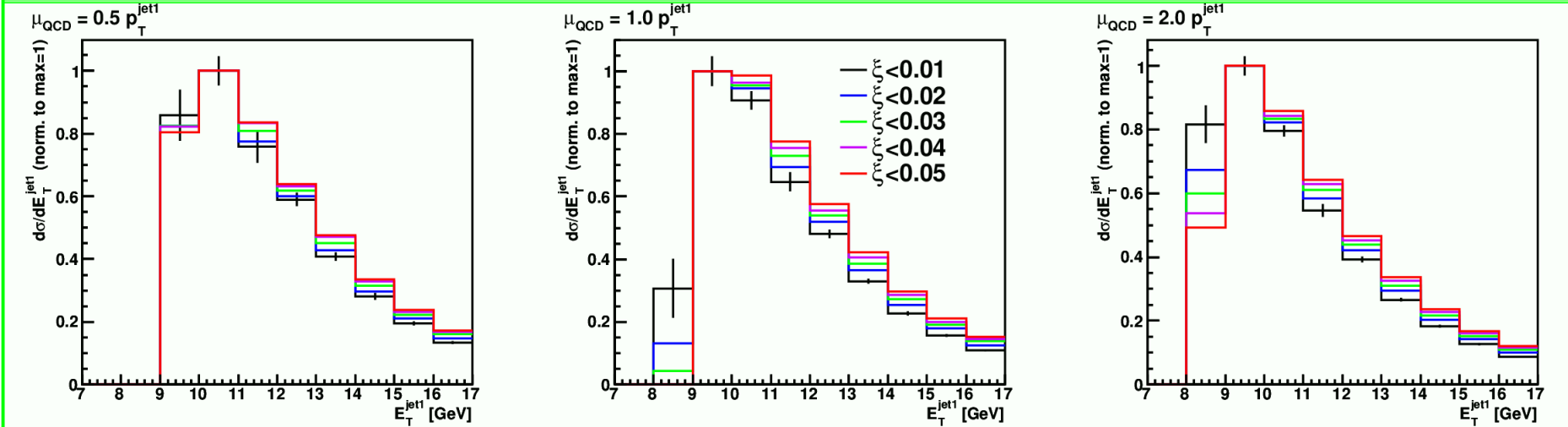
$|t| < 1 \text{ GeV}^2$



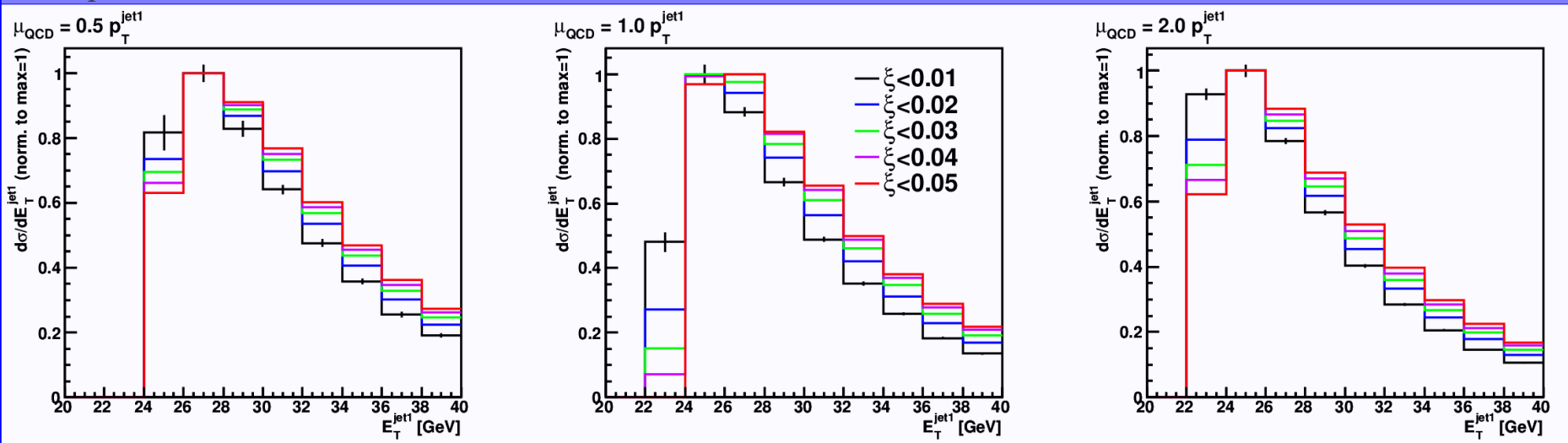
# NLOJET++ $\xi$ and Scale Dependence of $E_T^{\text{jets, cut}}$

- The larger the hard QCD scale  $\rightarrow$  Smaller coupling  $\rightarrow$  better-converging perturbative series
- Larger  $\xi$  requires a little bit larger  $E_T^{\text{jets}}$  cut difference

$E_T^{\text{jet1,2}} > 7 \text{ GeV}$  anti-kT R=0.4, other cuts as before



$E_T^{\text{jet1,2}} > 20 \text{ GeV}$  anti-kT R=0.4, other cuts as before



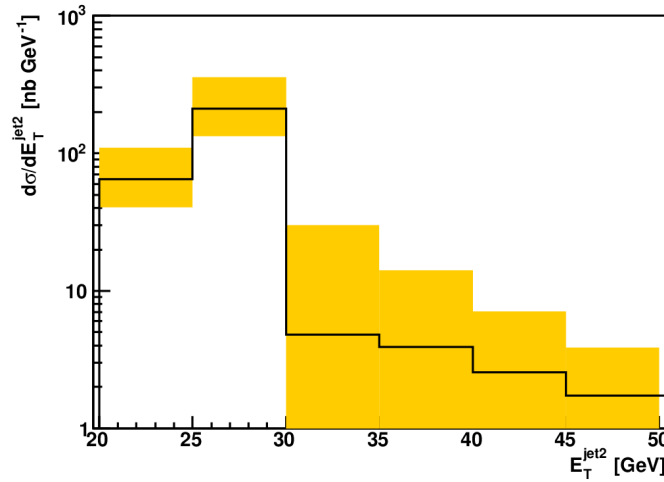
# NLOJET++

- Even with “Safe” Jet Cuts Some Distributions Unphysical (similar in **FRIXIONE**)

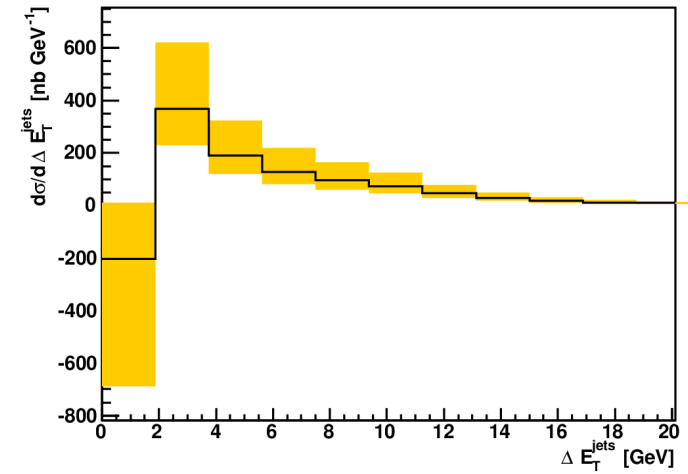
Cuts:  
 $E_T^{\text{jet1}} > 30 \text{ GeV}$   
 $E_T^{\text{jet2}} > 20 \text{ GeV}$   
 $-5 < \eta^{\text{jet1},2} < 3$   
 $\xi < 0.03$   
 $|t| < 1 \text{ GeV}^2$

anti-kT R=0.6

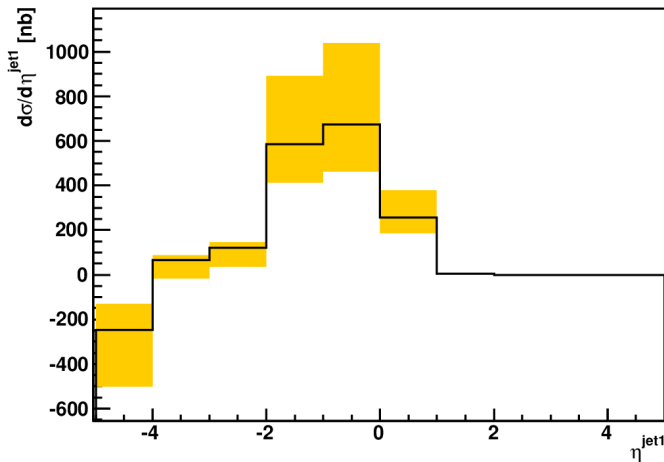
$E_T^{\text{jet2}}$  with scale error bars



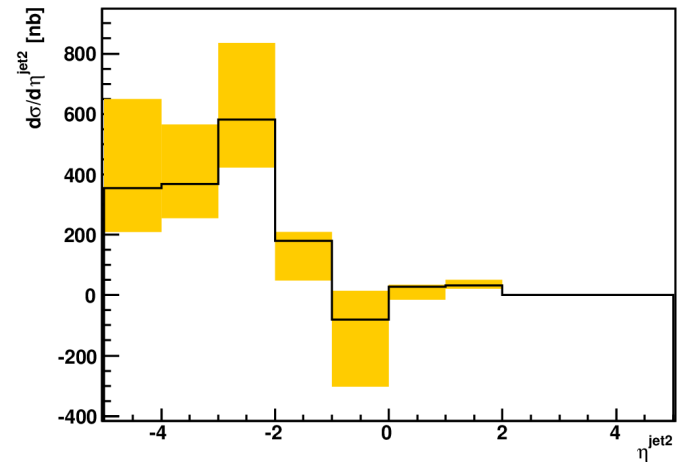
$\Delta E_T^{\text{jets}}$  with scale error bars



$\eta^{\text{jet1}}$  with scale error bars

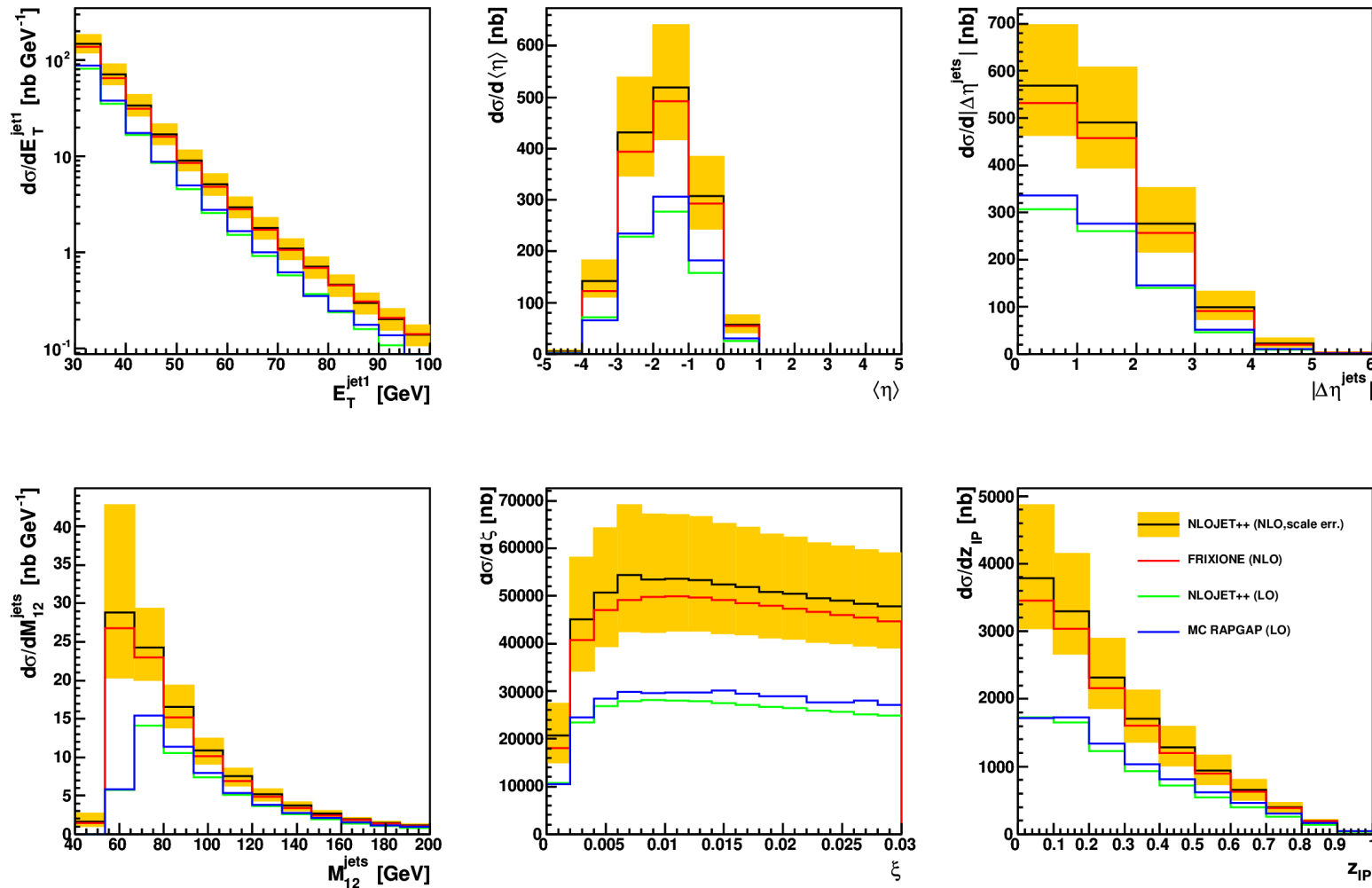


$\eta^{\text{jet2}}$  with scale error bars



# NLOJET++ vs FRIXIONE vs RAPGAP

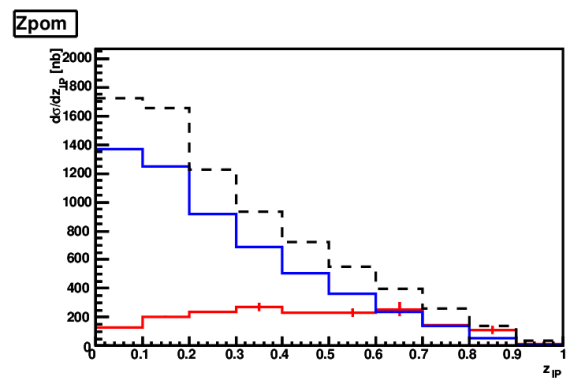
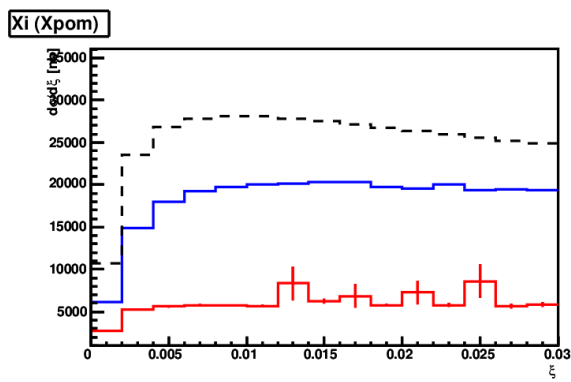
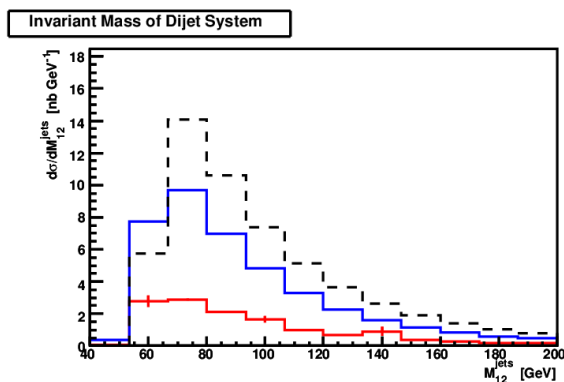
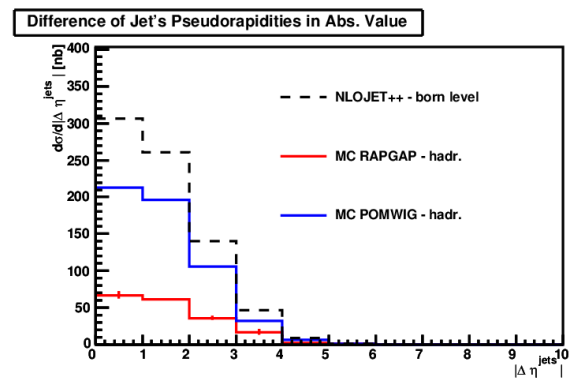
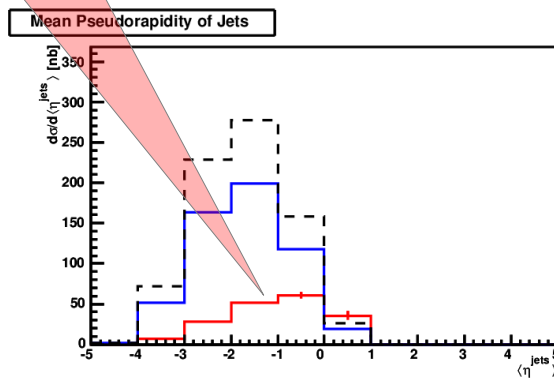
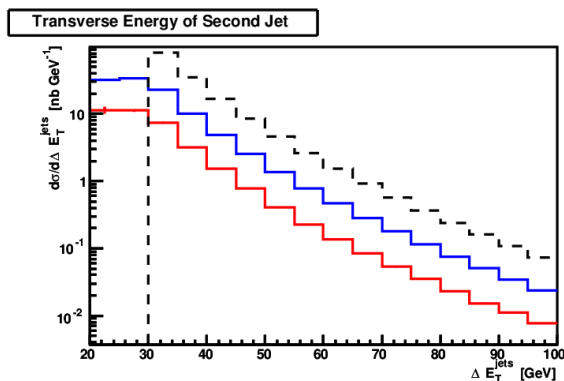
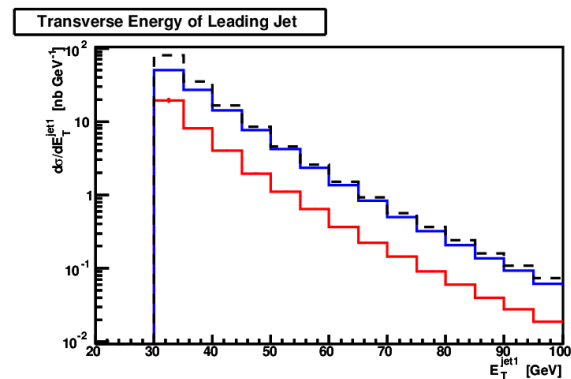
- RAPGAP at parton-level without showers
- Normalization difference 7 % (NLOJET++ vs FRIXIONE)



# Comparison of MCs

- POMWIG vs RAPGAP at hadron-level with parton-showers
- **NLOJET++** in LO at parton-level

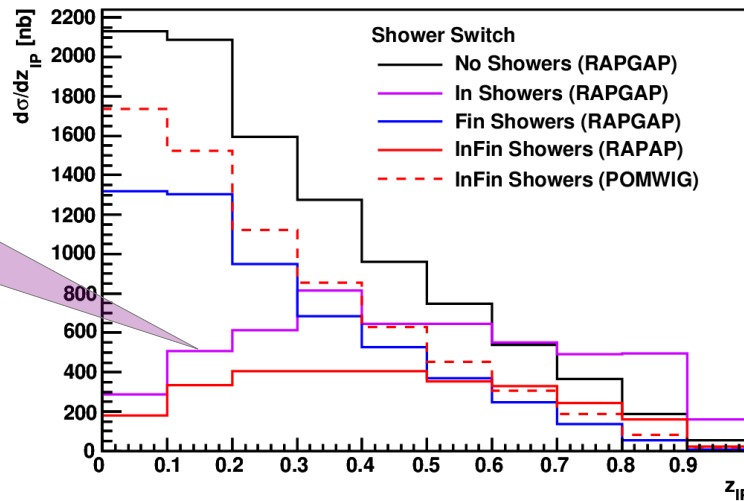
RAPGAP shifted to positive rapidities



# Why is RAPGAP so Different?

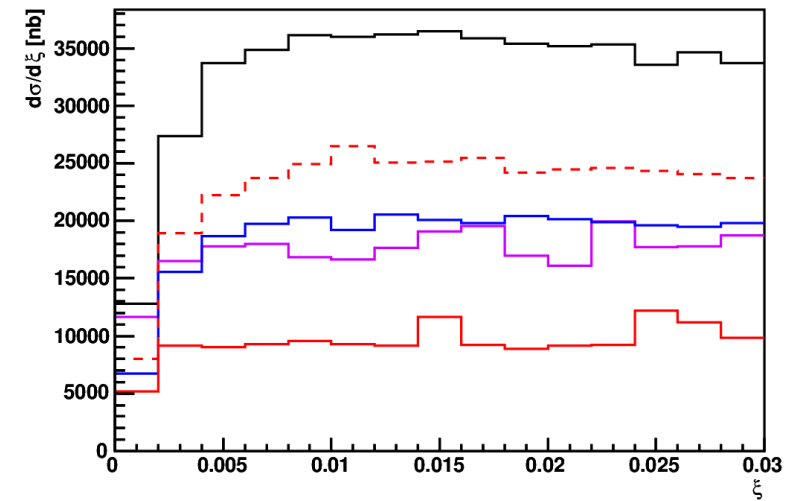
- Because of initial-state parton showers

**Zpom**

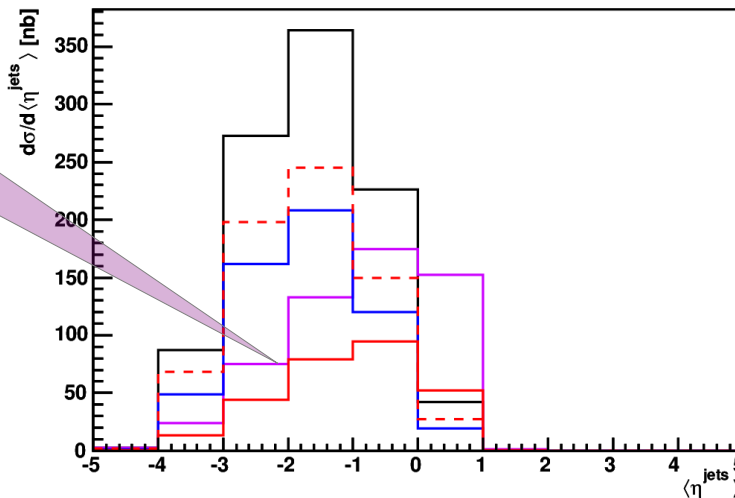


RAPGAP  
In-showers  
lower

**Xpom (Xi)**

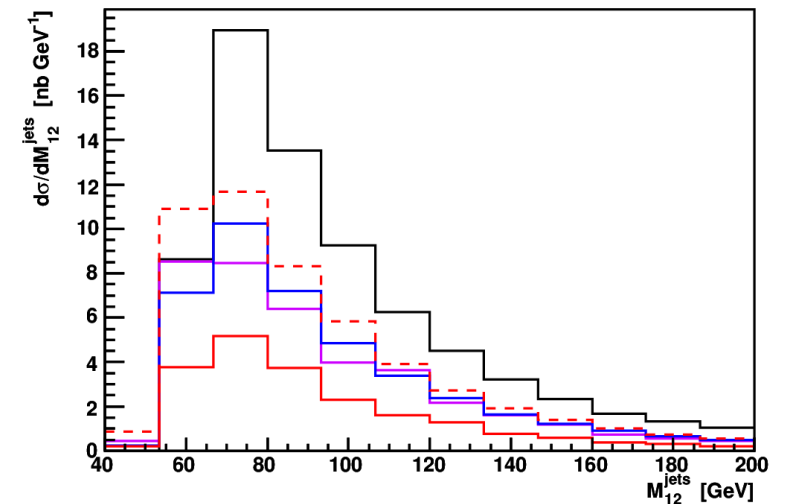


**Mean Eta of Jets**



RAPGAP  
In-showers  
shifted

**Invariant Mass of Dijets System**

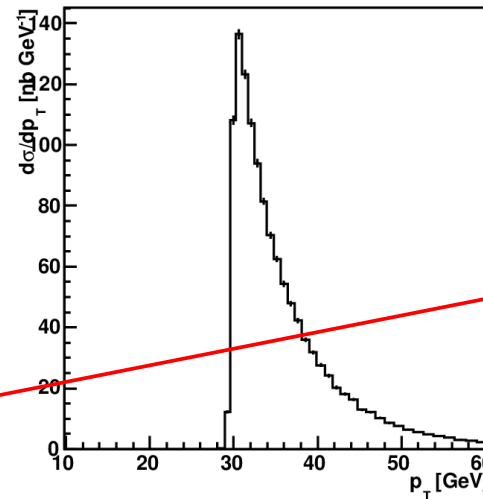


# $p_T$ of The Hard Subprocess

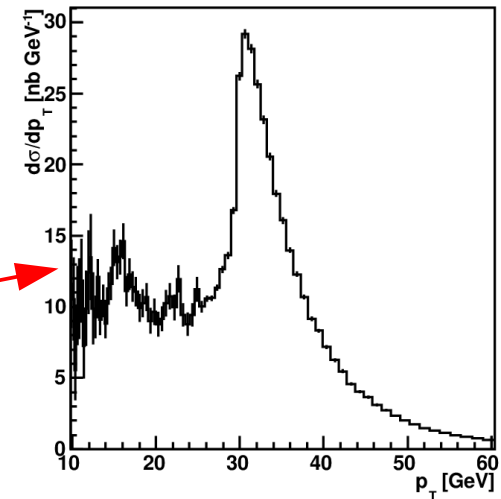
- Strange behavior for distribution containing initial showers in RAPGAP

Rising x-section  
for small  $p_T$

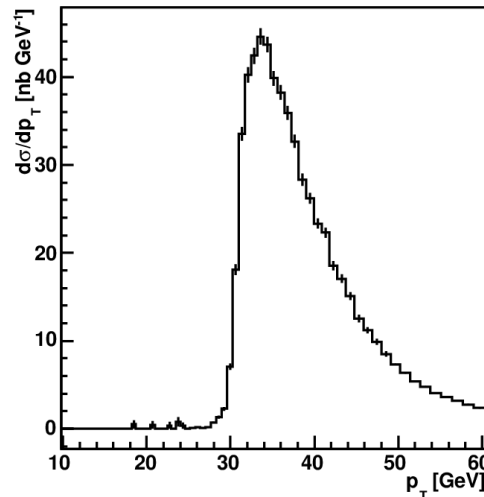
No Showers - RAPGAP



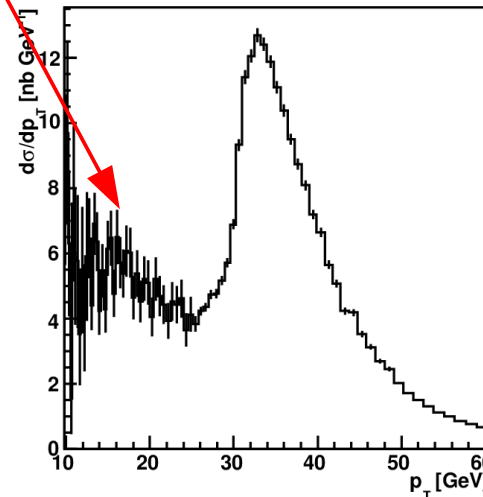
In Showers - RAPGAP



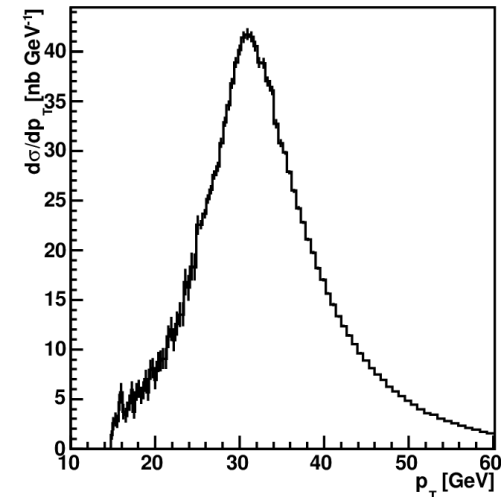
Fin Showers - RAPGAP



InFin Showers - RAPGAP



InFin Showers - POMWIG

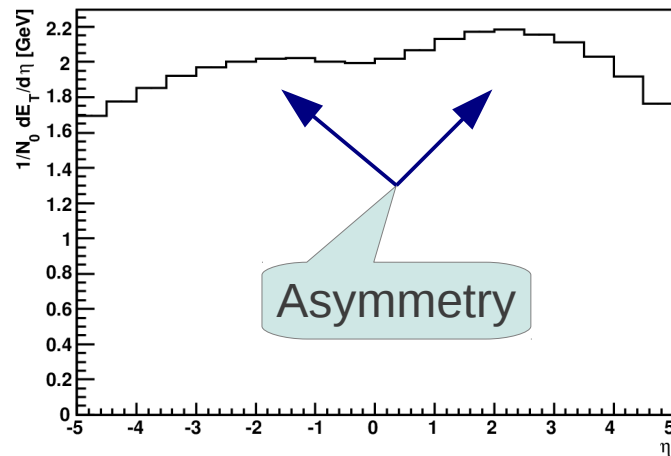




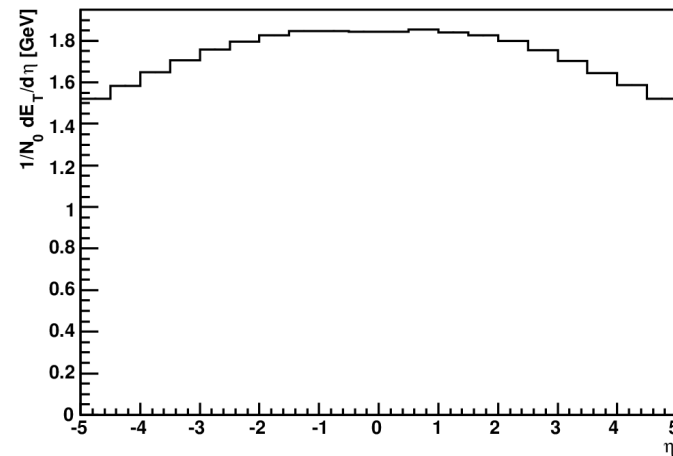
# Energy Flow for Non-Diffractive pp RAPGAP

- Unphysical asymmetry in eta observed
- Without cuts on jets

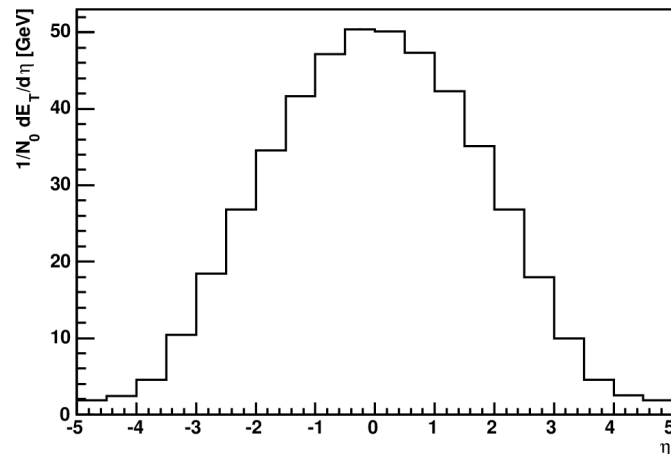
Transverse Energy Flow (Initial-State Showers) -  $p_T > 2.2$  GeV



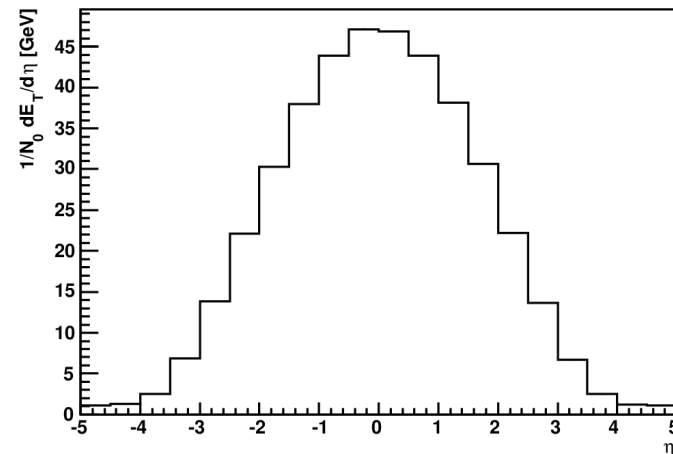
Transverse Energy Flow (Final-State Showers) -  $p_T > 2.2$  GeV



Transverse Energy Flow (Initial-State Showers) -  $p_T > 77$  GeV



Transverse Energy Flow (Final-State Showers) -  $p_T > 77$  GeV



# Conclusions

- **NLOJET++** and **FRIXIONE** NLO QCD programs implemented and studied for single-diffractive pp interaction 3.5+3.5 TeV
- Comparison of RAPGAP and POMWIG done
- Bug in RAPGAP? (Hannes Jung contacted)