

# Pile-up effect on energy measurement

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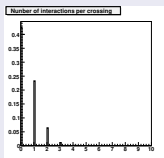
LHCb calorimeter upgrade meeting

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  - Conclusion on the data driven estimation
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  - Resolutions
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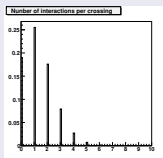
## Introduction

The upgrade consists in increasing the luminosity at the LHCb IP

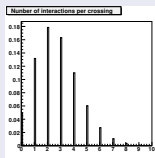
$$\mathcal{L} = 2 \times 10^{32} \text{ cm}^2 \text{ s}^{-1}$$



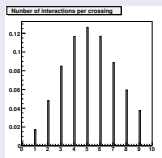
$$\mathcal{L} = 5 \times 10^{32} \text{ cm}^2 \text{ s}^{-1}$$



$$\mathcal{L} = 10^{33} \text{ cm}^2 \text{ s}^{-1}$$



$$\mathcal{L} = 2 \times 10^{33} \text{ cm}^2 \text{ s}^{-1}$$



Number of interactions per crossing at different luminosities.

Present luminosity is  $\mathcal{L} \sim 4.0 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$

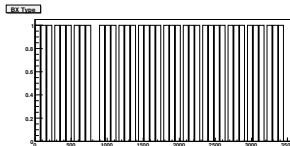
- Foreseen maximum luminosity is  $\mathcal{L} = 10^{33} \text{ cm}^{-2} \text{ s}^{-1} \rightarrow 2 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ . Direct consequence : the event multiplicity is larger.
- The events get piled-up and the energy/position reconstructed are overestimated/smeared.

This may be looked at

- Using LHCb data sample
- With MC samples

## The method based on real data

- 1 The ADC counts are extracted with present data (no pile-up)
  - for each calorimeter cell (3 areas) get an ADC count spectrum
  - for each event recorded  
A large vector of 6016 integers is obtained per event  
(More than 1 million events on disk)
- 2 The beam conditions (pile-up) at a certain luminosity are evaluated and permit to *generate* event conditions (pile-up) for a certain luminosity
  - Poisson law : get rate for a certain number  $n$  of interactions per crossing
  - Use the LHC bunch structure to decide if bunches are crossing or not



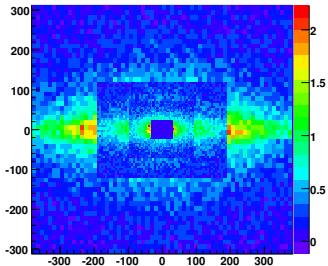
- 3 For a *high luminosity* add the generated number of events, i.e. add the 6016 rows of consecutively recorded vectors (real data events)

Pros/cons of the method :

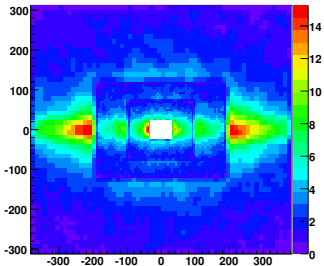
- Pros : based on real data
- Cons : 3.5 instead of 7TeV, no spill-over effect from 40MHz, only triggered events.

# Calorimeter map - Average

$$\mathcal{L} = 2 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$$



Cell averaged signal (ADC counts)



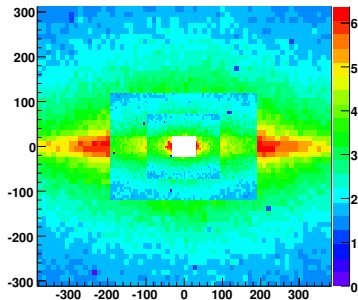
Cluster (9 cells) averaged signal (ADC counts)

- A cluster is made by a group of 9 cells 

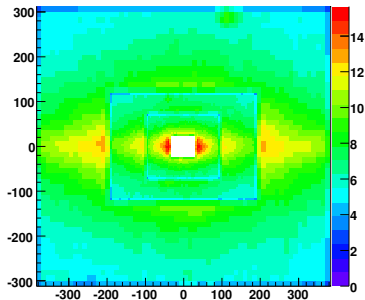
- 2D representation shows the cluster signal/RMS (central cell position)
- Border effects are clearly visible (clusters made by less than 9 cells)
- Recall 1ADC count = 2.5MeV in Pt.

# Calorimeter map - RMS

$$\mathcal{L} = 2 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$$



Cell signal RMS (ADC counts)

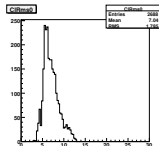
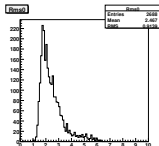


Cluster signal RMS (ADC counts)

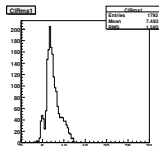
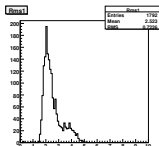
## RMS per zone

$$\mathcal{L} = 2 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$$

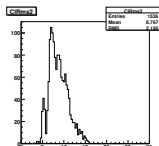
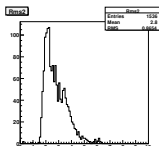
Outer



Middle



Inner

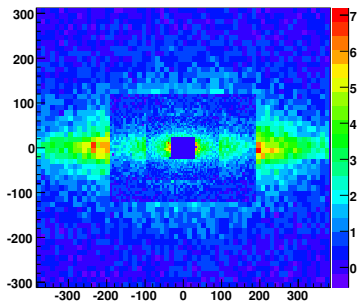


Cell RMS

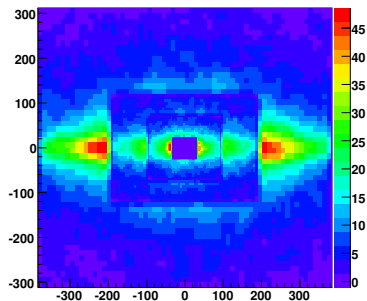
Cluster RMS

# Calorimeter map - Average

$$\mathcal{L} = 5 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$$



Cell averaged signal (ADC counts)

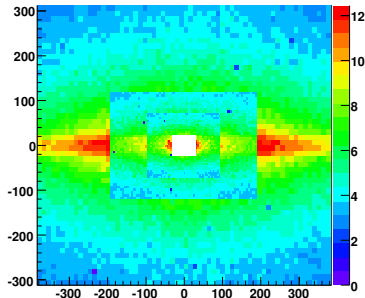


Cluster (9 cells) averaged signal (ADC counts)

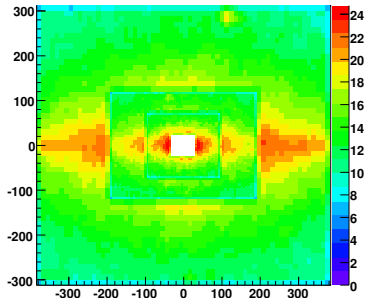


# Calorimeter map - RMS

$$\mathcal{L} = 5 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$$



Cell signal RMS (ADC counts)

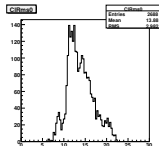
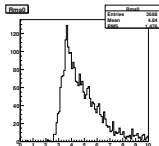


Cluster signal RMS (ADC counts)

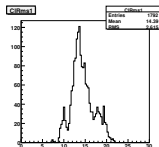
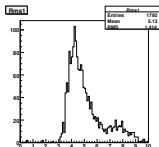
# RMS per zone

$$\mathcal{L} = 5 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$$

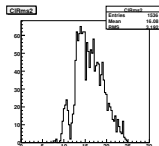
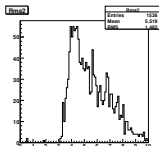
Outer



Middle



Inner

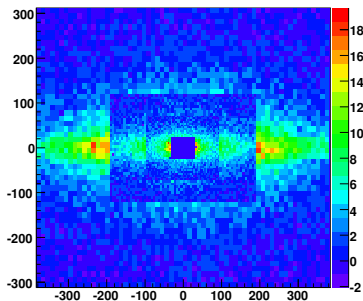


Cell RMS

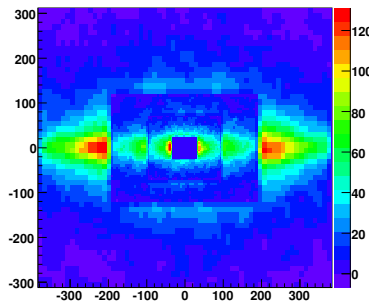
Cluster RMS

# Calorimeter map - Average

$$\mathcal{L} = 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$$



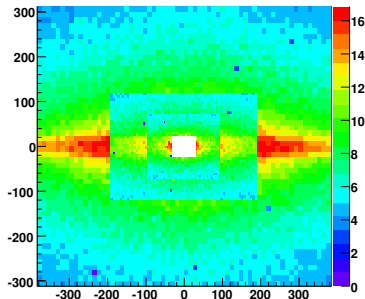
Cell averaged signal (ADC counts)



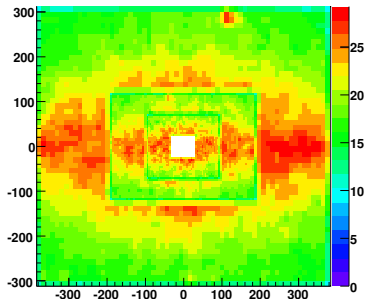
Cluster (9 cells) averaged signal (ADC counts)

# Calorimeter map - RMS

$$\mathcal{L} = 10^{33} \text{cm}^{-2} \text{s}^{-1}$$



Cell signal RMS (ADC counts)

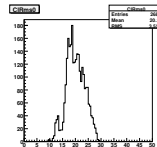
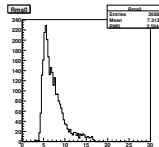


Cluster signal RMS (ADC counts)

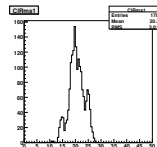
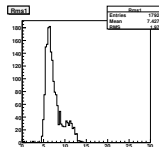
## RMS per zone

$$\mathcal{L} = 10^{33} \text{cm}^{-2} \text{s}^{-1}$$

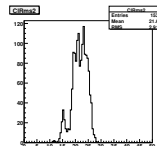
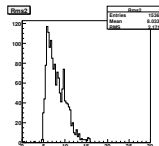
Outer



Middle



Inner

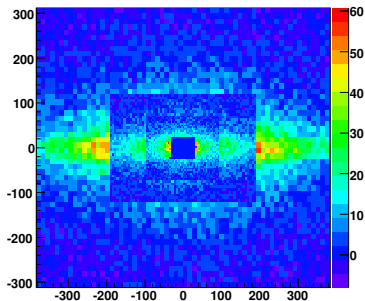


Cell RMS

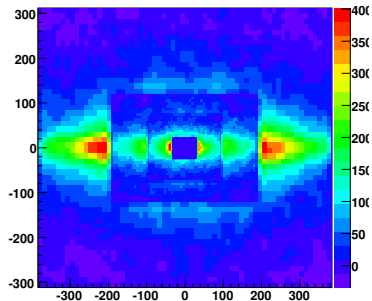
Cluster RMS

# Calorimeter map - Average

$$\mathcal{L} = 2 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$$



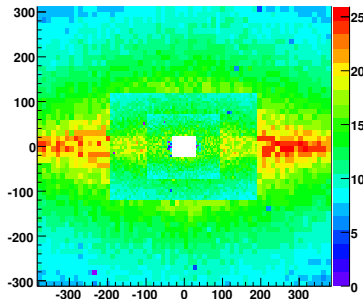
Cell averaged signal (ADC counts)



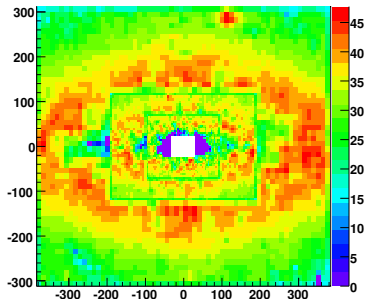
Cluster (9 cells) averaged signal (ADC counts)

# Calorimeter map - RMS

$$\mathcal{L} = 2 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$$



Cell signal RMS (ADC counts)

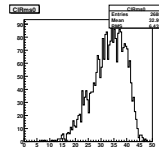
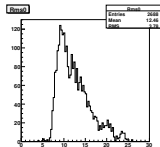


Cluster signal RMS (ADC counts)

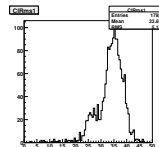
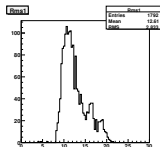
# RMS per zone

$$\mathcal{L} = 2 \times 10^{33} \text{cm}^{-2} \text{s}^{-1}$$

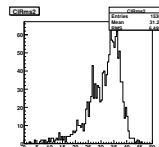
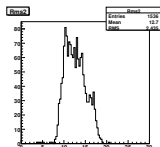
Outer



Middle



Inner



Cell RMS

Cluster RMS



## Conclusion on the Data driven estimation

### Resolution effect of the pile-up

A quantitative conclusion on the pile-up is difficult to get as the RMS obtained is widely spread and the average is not representative.

The energy of the real data sample used is twice too small

- This is clearly an optimistic assumption

Still if we try to take the average

- the calorimeter resolution could be expressed by

$$\frac{\sigma(E)}{E} = \frac{10\%}{\sqrt{E}} \oplus 1.5\% \oplus \frac{0.0025 \times RMS}{E\theta} (\text{pile-up}) \oplus \frac{0.01}{E\theta} (\text{electronics})$$

$\mathcal{L}$	$2 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$	$5 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$	$10^{33} \text{ cm}^{-2} \text{ s}^{-1}$	$2 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$
<i>RMS</i>	12.	15.	18	22
$0.0025 \times RMS$	0.030	0.038	0.045	0.055

Ought to be checked by MC studies.

## Upgrade MC sample

4 samples of 50k events each :  $B_s \rightarrow \phi\gamma$

- $\mathcal{L} \sim 2 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$  : Red
- $\mathcal{L} \sim 5 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$  : Green
- $\mathcal{L} \sim 10^{33} \text{cm}^{-2} \text{s}^{-1}$  : Blue
- $\mathcal{L} \sim 2 \times 10^{33} \text{cm}^{-2} \text{s}^{-1}$  : Violet

### Method

Photons are selected according to :

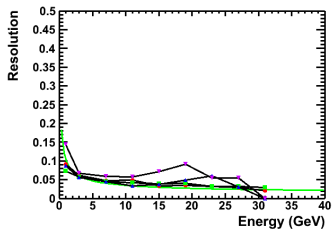
- their origin ( $\Delta z < 50 \text{mm}$ ,  $\Delta r < 100 \text{mm}$  wrt IP)
- No conversion before the calorimeter
- Association MCtruth/RecPhoton
- A Pt cut (either 250 or 500MeV)

Determine  $\frac{E_{Rec}^\gamma - E_{MC}^\gamma}{E_{MC}^\gamma}$  and fit the resolution with an asymmetric gaussian

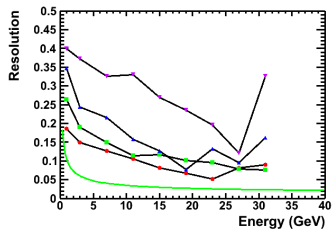
- 2 “resolutions” :  
left : should correspond to the intrinsic resolution without pile-up  
right : should show the pile-up effect

# Energy Resolution : $P_t > 250\text{MeV}/c$

Resolution "Left"

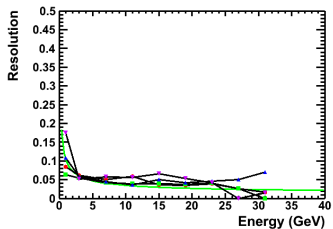


Resolution "Right"

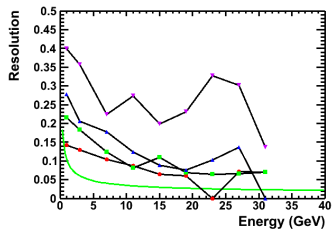


# Energy Resolution : $P_t > 500\text{MeV}/c$

Resolution "Left"



Resolution "Right"



# Conclusions

## Data driven estimation

- Photons at 100mrad :


$\mathcal{L}$	$2 \times 10^{32} \text{cm}^{-2} \text{s}^{-1}$		$10^{32} \text{cm}^{-2} \text{s}^{-1}$	
Resolution	Total	Pile-up	Total	Pile-up
400MeV	7.4%	4.7%	14.3%	13.1%
3.5GeV	2.3%	0.5	2.7%	1.5%

## Monte Carlo study

- Estimation on Monte Carlo confirms non-negligible effect
- Resolution is not Gaussian at all
- Effect is reduced on high  $P_t$  deposit

# Conclusions

## What solutions could be envisaged ?

- Can we reconstruct photons in  $2 \times 2$  clusters (outer, middle) ? 
- Must study effect on Energy and Position
- Present high luminosity events could permit to make analysis on *real data*
- Such a solution is probably not applicable in the inner (Moliere radius  $\approx$  cell size)

## Upgrade MC sample production

- No SPD/PRS (baseline)
- 2 solutions :
  - Choose several luminosity samples
  - Make samples according to their pile-up (PV number) and mix events to produce any L sample
- Standard key channels production ( $B_d \rightarrow K^* \gamma$  or  $B_s \rightarrow \phi \gamma$ ) on upgrade conditions