



Wir schaffen Wissen – heute für morgen

## **Radiation & Radiation protection**

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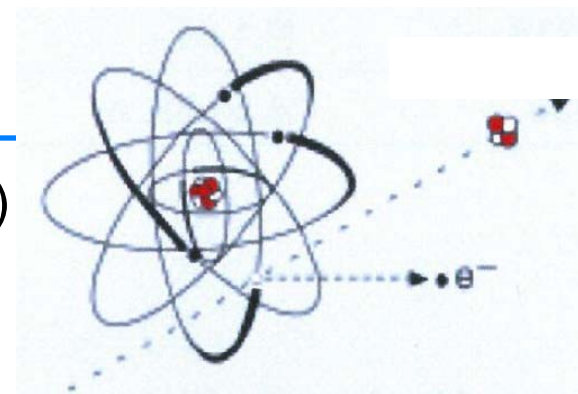
## Content:

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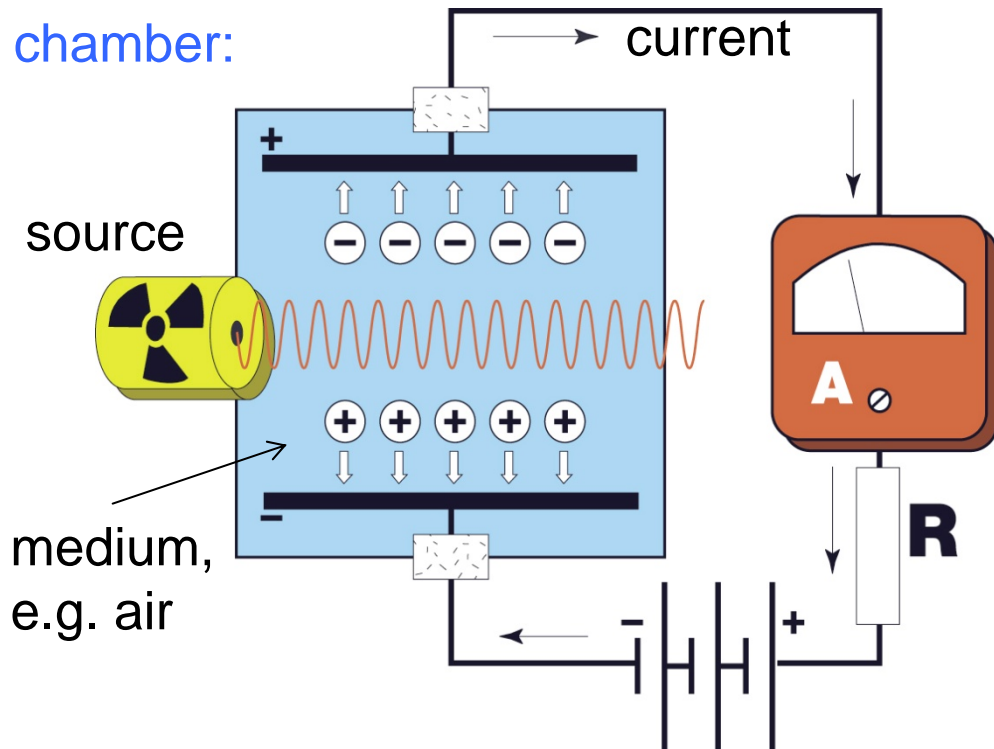
- Definition of radioactive radiation
- Prompt radiation
- Shielding against photons & neutrons
- Residual radiation
- $\alpha, \beta, \gamma$  radiation: ranges and shielding
- Quantifying damage:
  - Ionizing density & Linear Energy Transfer (LET)
  - Quality factor & radiation weighting factor
  - Dose equivalent, organ dose, effective dose
- The measured dose and personal dosimeters
- Time evolution of activation
- Activity  $A \rightarrow$  dose rate
- The law of distance: point source and extended source
- Legal dose limits and „natural“ exposure
- Direct and indirect damage of DNA
- Repairment mechanism & prediction of cancer mortality
- Summary of Radiation & Radioprotection rules

## Ionizing radiation

ionizing = direct production of charge (electrons, ions)  
 particles:  $\alpha, \beta, \gamma, e, p, \pi^+$  .....



### Ionization chamber:



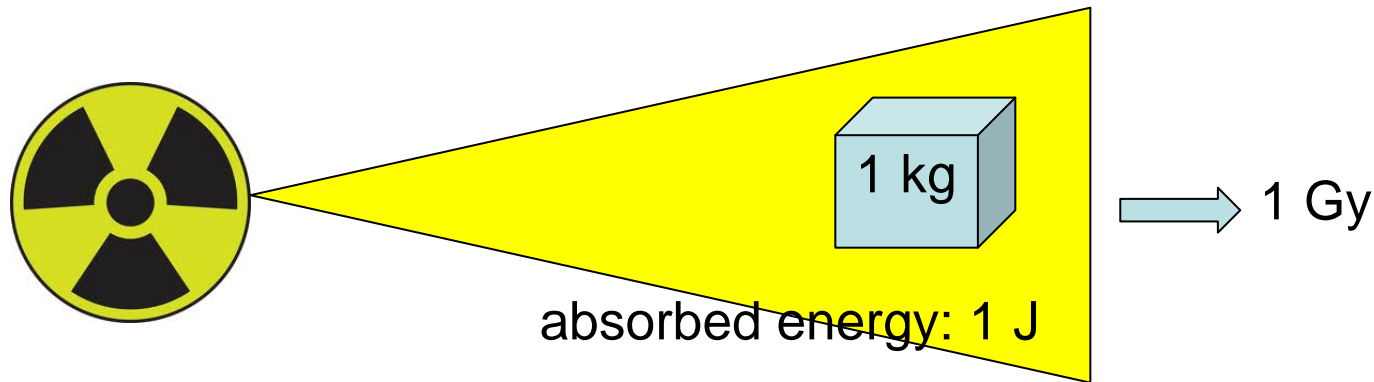
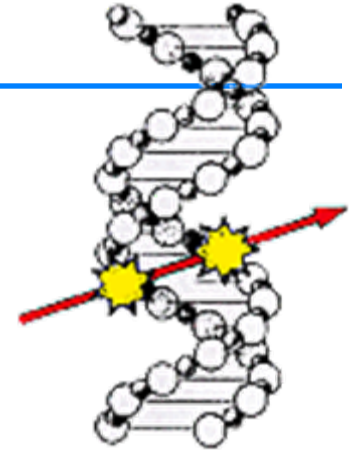
amperemeter  
 = measurement,  
 proportional to radiation

**Exposure („ion dose“)**  $D_i$  = produced charge/mass in AIR, unit:  $[A \text{ s/kg}] = [C/kg]$ ,  
 old unit: „Röntgen“ =  $R = 2.58 \times 10^{-4} \text{ C/kg}$   
 = basic quantity and definition of radioactivity in the past

# Radiation: the ability to damage

(significant) energy is absorbed by tissue, bones  
(and other material)

→ damage



Energy dose:  $D_E = \frac{\Delta E}{\Delta M}$       unit:  $\frac{\text{J}}{\text{kg}} = 1 \text{ Gray [Gy]}, 1 \text{ Gy} = 100 \text{ rd (rad)}$

↑  
material  
dependent !

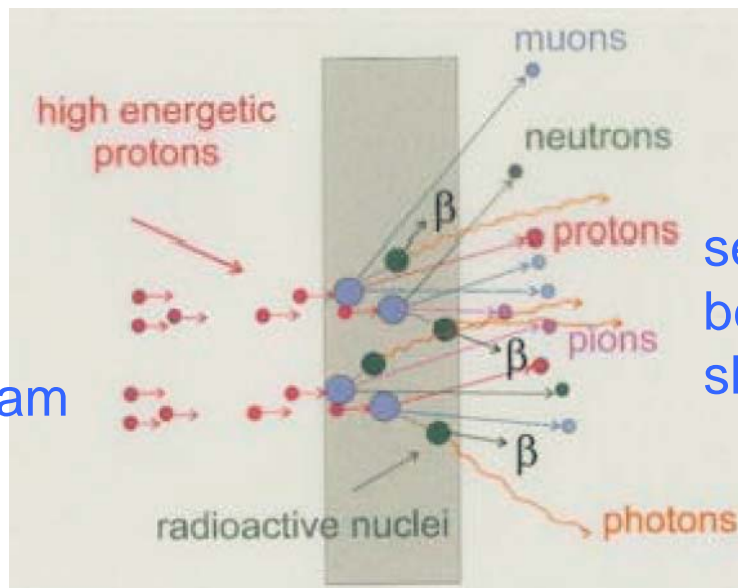
works also for neutrons!

# Radiation at accelerators

Prompt radiation: *during* accelerator operation

beam on:

primary beam



secondary  
beam/particles,  
shower

material

beam off:

Residual radiation: *after* accelerator operation,  
important during maintenance,  
depends on irradiation before and time passed

↑  
cooling time



## Prompt radiation

- production of almost any particle (dependent on energy of primary beam),
- lots of nuclear reactions,
- huge number of particles produced

### Radioprotection:

- control of entries (closed doors): security chain

beam permit:  
security chain closed

controlled access:  
on notice, using keys

free access



# Measurement of prompt radiation

- inside the accelerator facility:



photons

neutrons

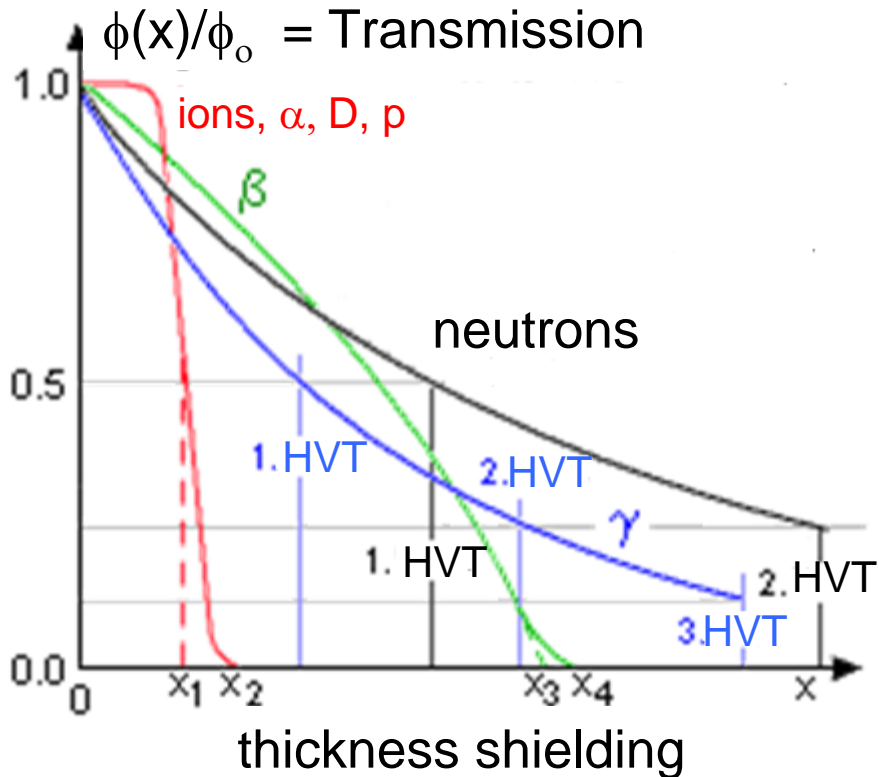
active controlling

- outside of the accelerator facility:

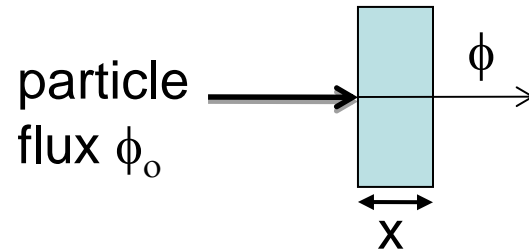
passive controlling



# Radioprotection: Shielding



charged particles are stopped earlier,  
 → neutrons, photons are left



half value thickness: HVT

$$\phi(x = \text{HVT}) / \phi_0 = 0.5$$

$x_1, x_3$  averaged range  
 $x_2, x_4$  maximum range

only qualitative picture:  
 Details depend on energy and  
 shielding materials!



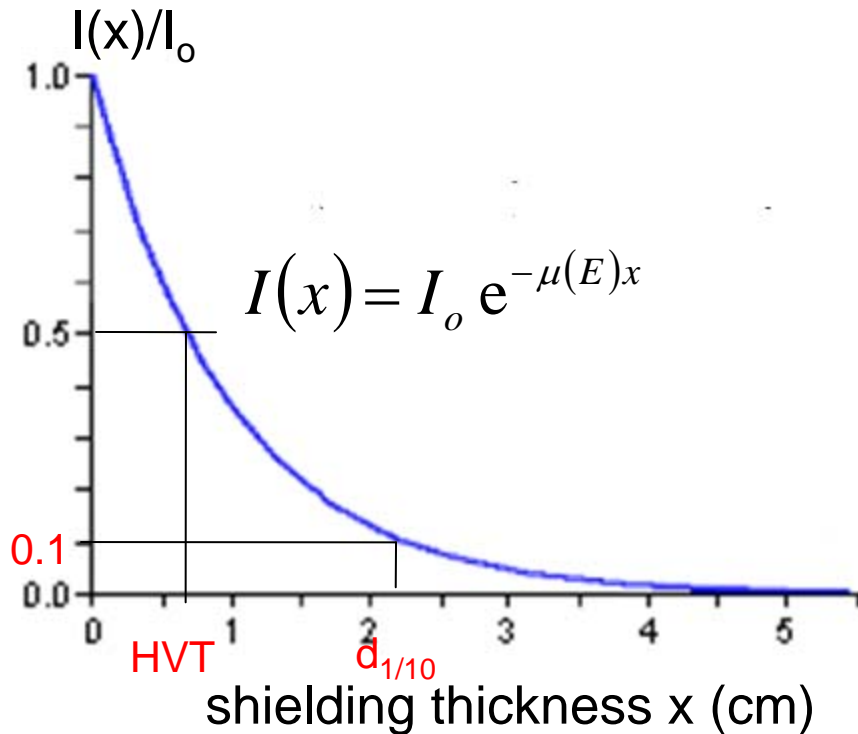
## Consequences due to the long range of $n$ & $\gamma$

- high energetic  $n$  needs large, massive shielding (iron, concrete)  
→ expensive, needs space
- low energetic  $n$  like to backscatter from concrete walls  
→ unwanted  $n$  background  
→ (sometimes) leakage to radiologically uncontrolled areas  
(→ increase shielding!)
- $n$  &  $\gamma$  produce damage at electronics,  
→ extra shielding  
around sensitive devices

lead mats as shielding  
against  $\gamma$ -radiation



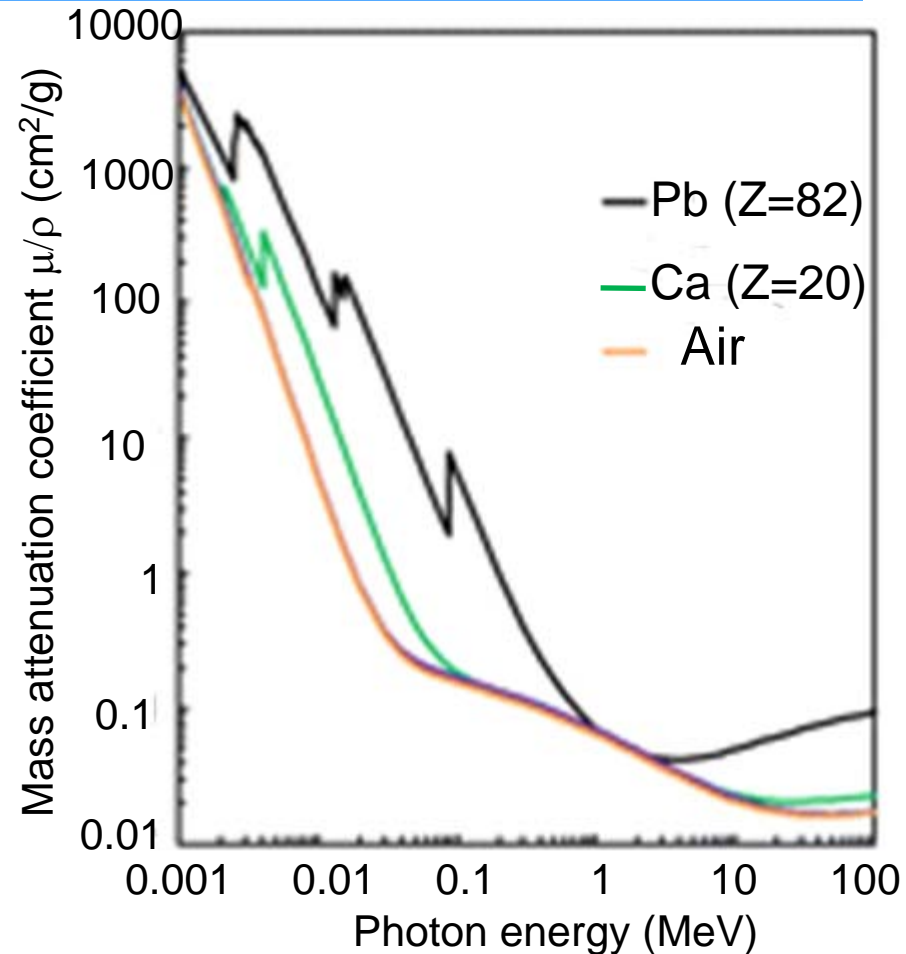
# Shielding of photons (the theory)



$\mu$ : linear attenuation coefficient  
 $\mu/\rho$ : mass attenuation coefficient,  
 $\sim Z^2$  for  $E > 10$  MeV

Example:  $E = 100$  MeV

HVT for concrete: 12.5 cm, Iron: 2.1 cm, Pb: 0.64 cm



high Z material  
works best

## Shielding of photons (the praxis)

Attenuation law  $I(x) = I_o e^{-\mu(E)x}$  (\*)

only valid for monoenergetic photons and pencil beam

Corrections:

### 1) build-up of lower energetic photons

high energetic photons are not absorbed but produce a shower of lower energetic photons (and electrons)

→ continuous energy loss of photons + angular spread

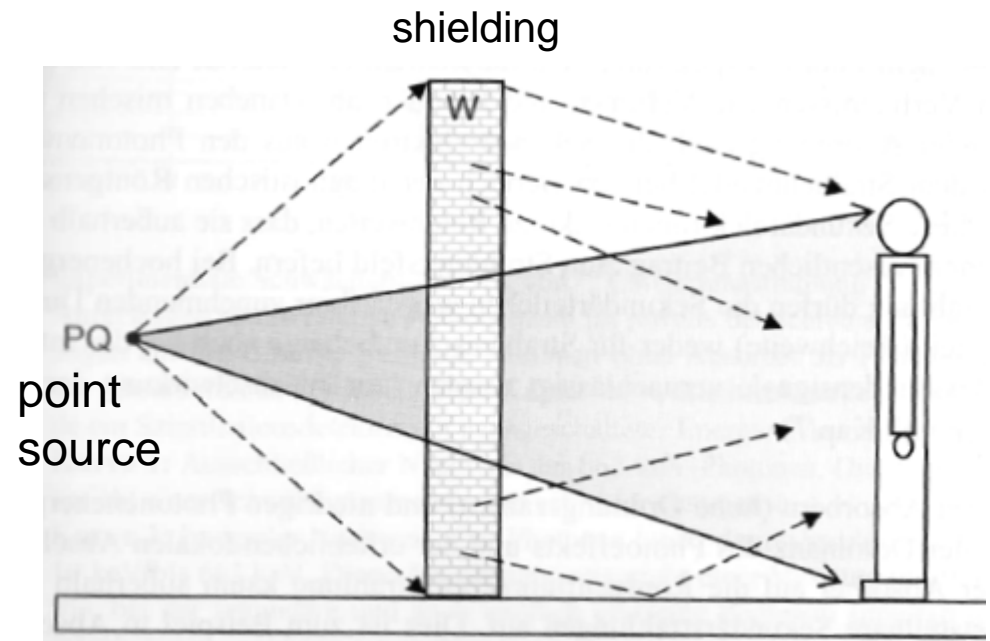
→ larger shielding required

Example: 14 cm Iron

→ shielding factor 40 instead of 350 after (\*)

### 2) Contribution of scattered photons to primary beam

→ correction by geometric factor



## Shielding of neutrons (1)

For monoenergetic neutrons:  $I(x) = I_o e^{-\mu(E)x}$

$\mu$  strongly depends on energy and material

High energetic neutrons:  $> 20 \text{ MeV}$

energy loss by scattering

→ dense material like iron

Medium energy neutrons:  $\sim 1 - 20 \text{ MeV}$

most energy loss at light atoms due to recoil

→ **moderation**

number of collisions needed for  $2 \text{ MeV n} \rightarrow 0.025 \text{ eV (thermal)}$ :

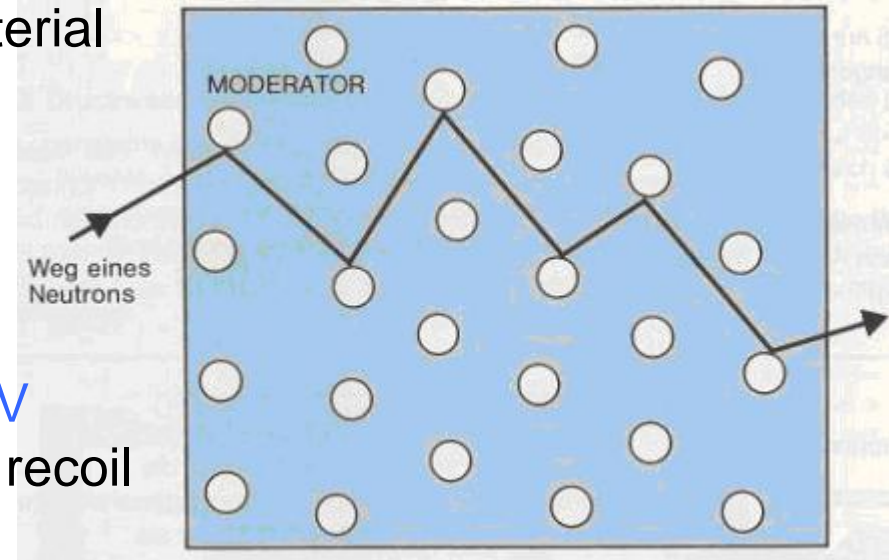
at H: 18

at C: 114

at U: 2172

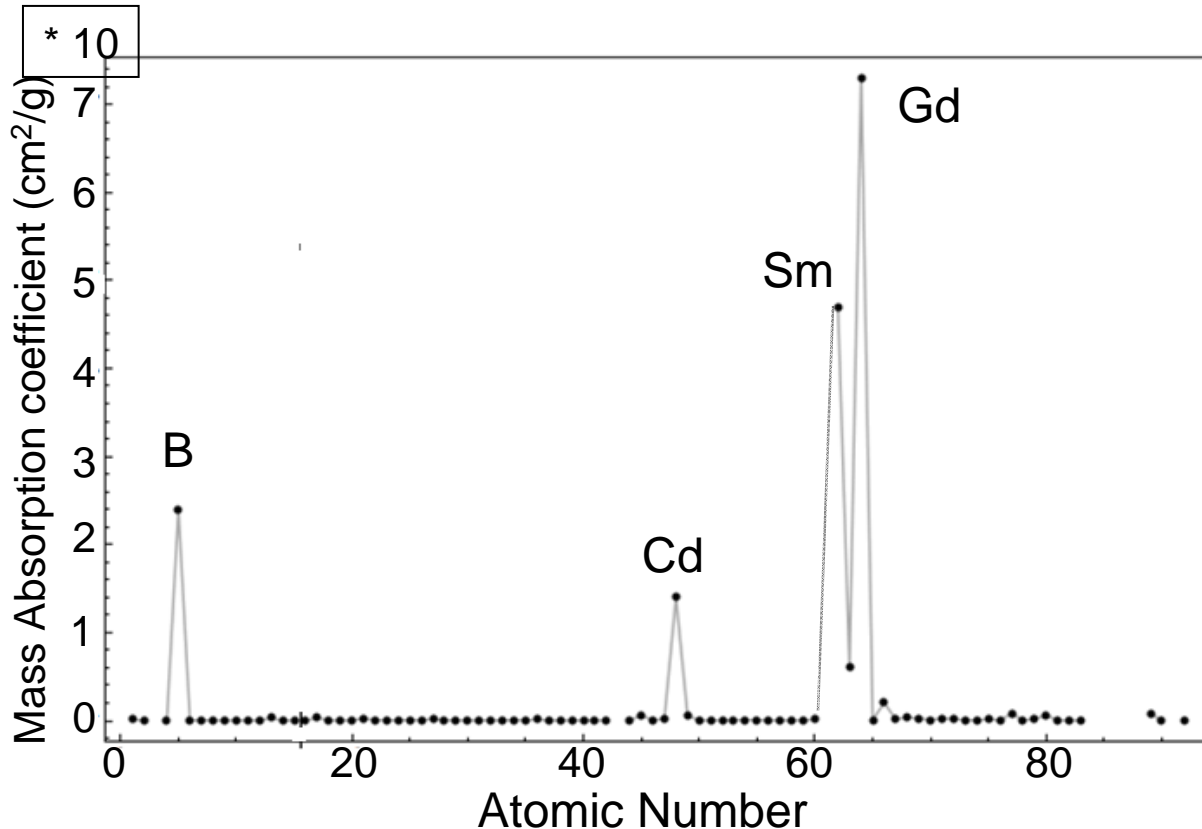
→ Concrete, Polyethylen contains lots of H !

(HVT  $\sim 7 \text{ cm}$  for  $1 \text{ MeV}$  neutrons in concrete)



## Shielding of neutrons (2)

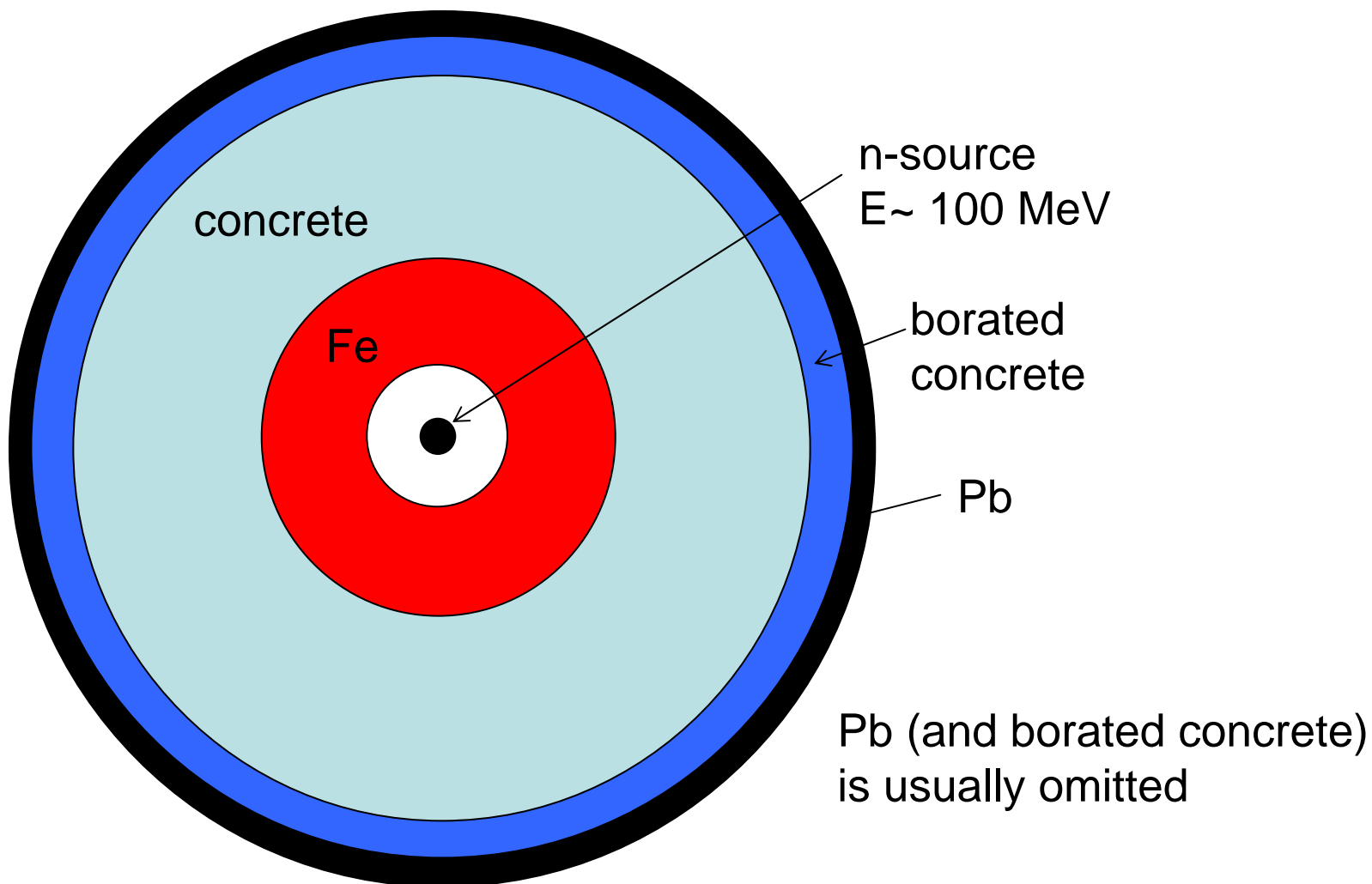
Low energetic neutrons:  $\sim 0.025$  eV (thermal)  
absorption, often (n, $\gamma$ )-reaction, called capture



neutron absorption often increases  $\gamma$ -background

# Example: Shielding for high-energetic neutrons

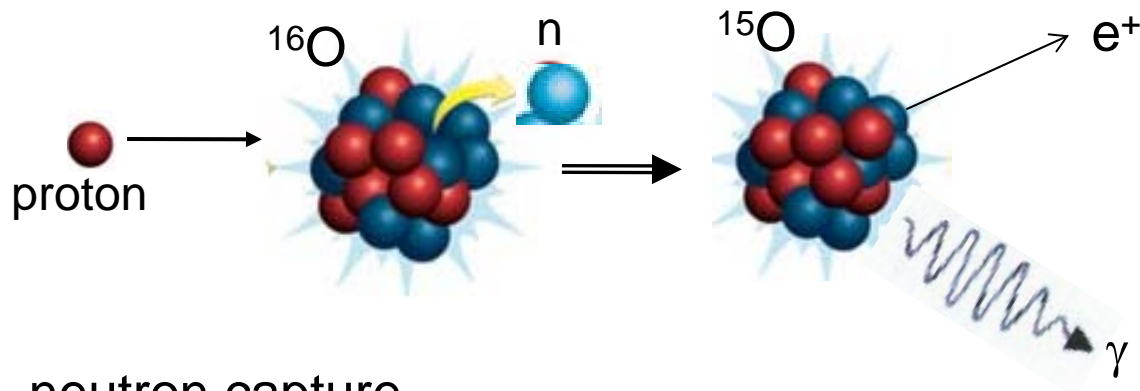
Sandwich: stacking of different materials



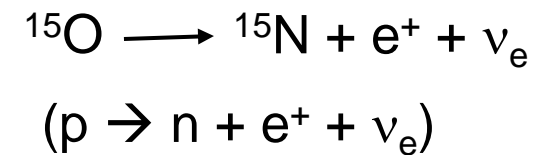
## Residual activation

Production of radioactive nuclei due to prompt radiation, e.g.:

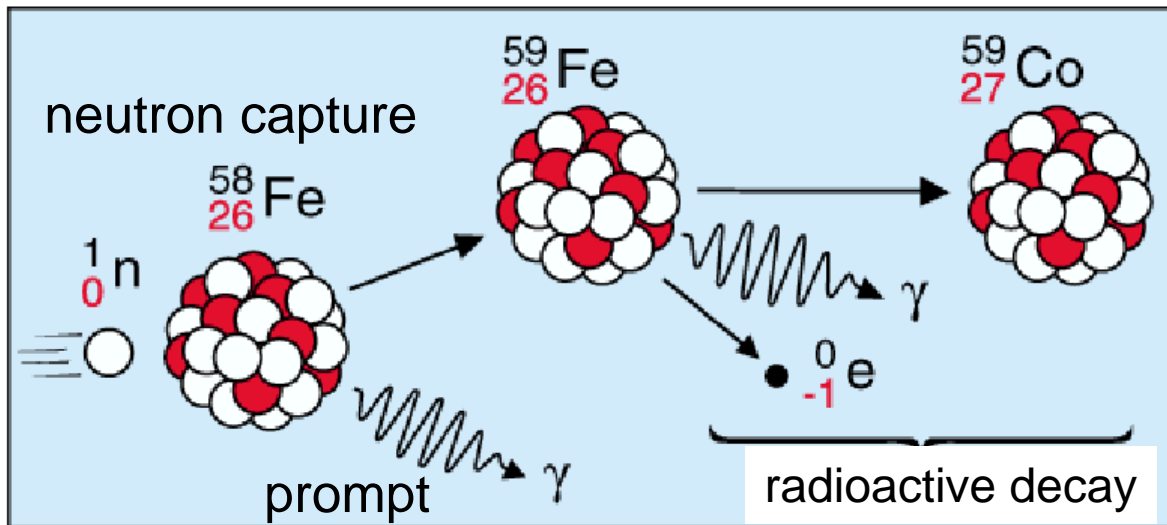
- knock-out of neutrons, protons



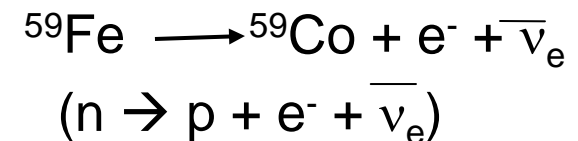
$\beta^+$  decay:



- neutron capture

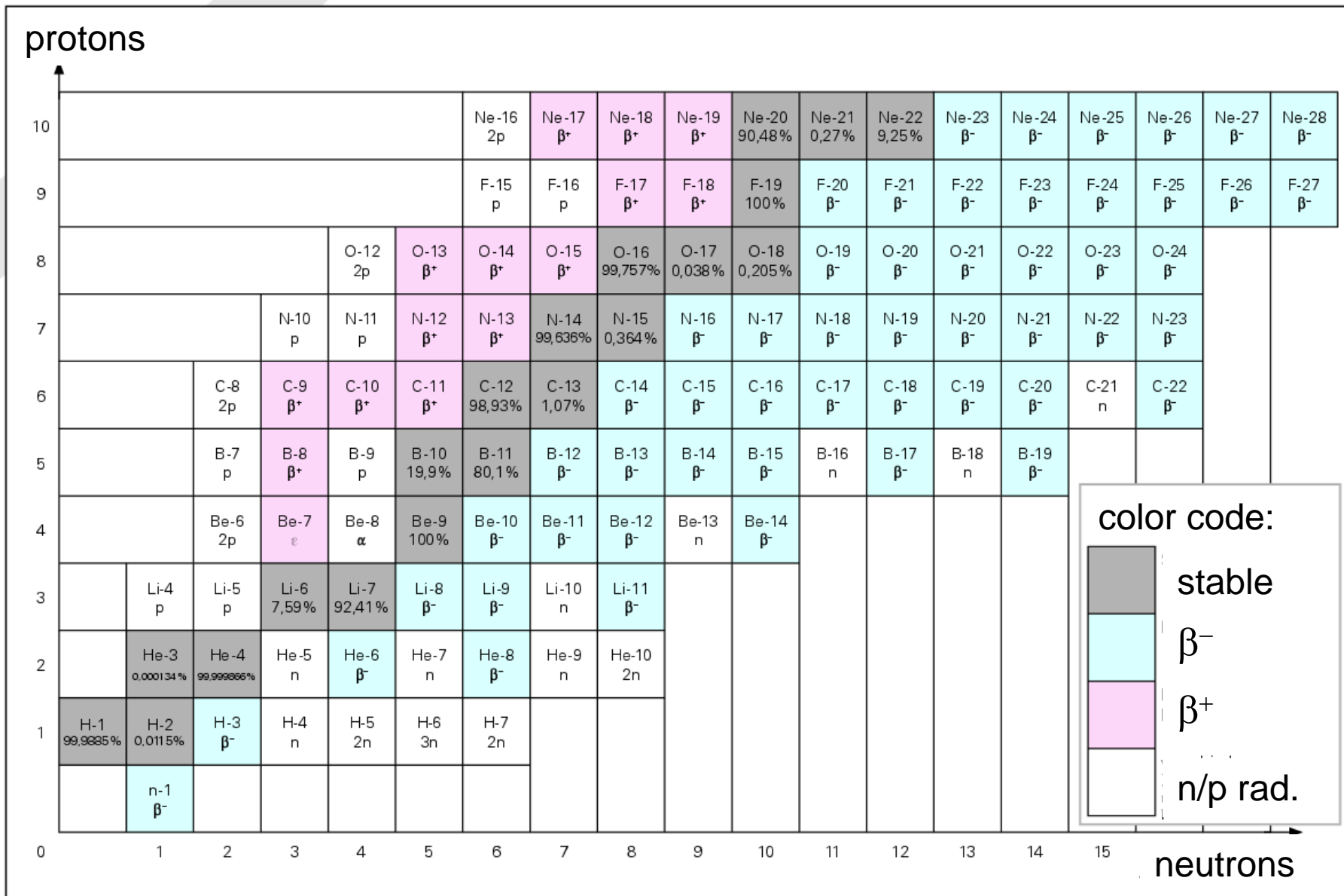


$\beta^-$  decay:



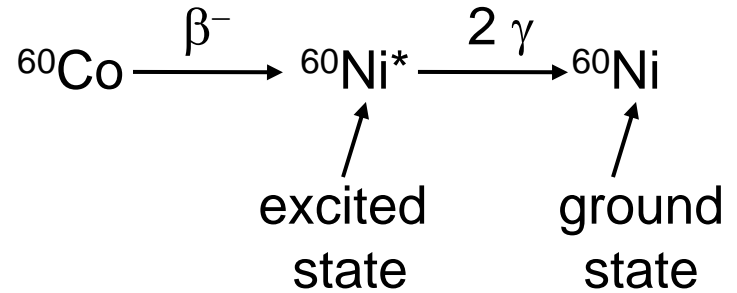
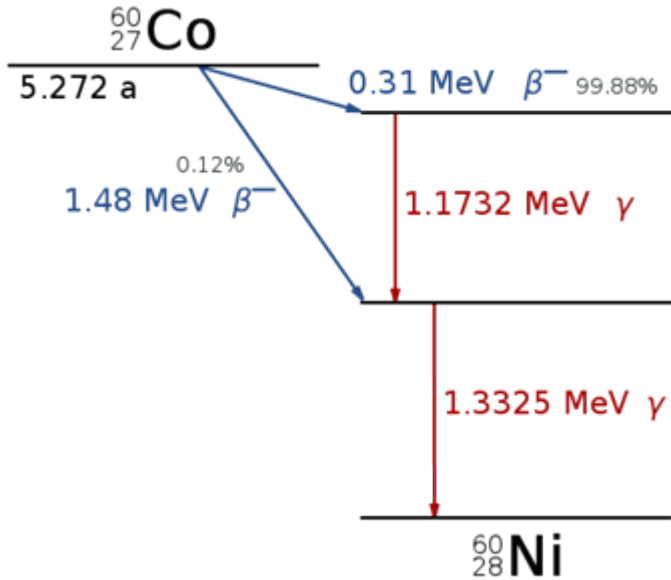
often accompanied by  
 $\gamma$ -radiation

# Nuclide chart





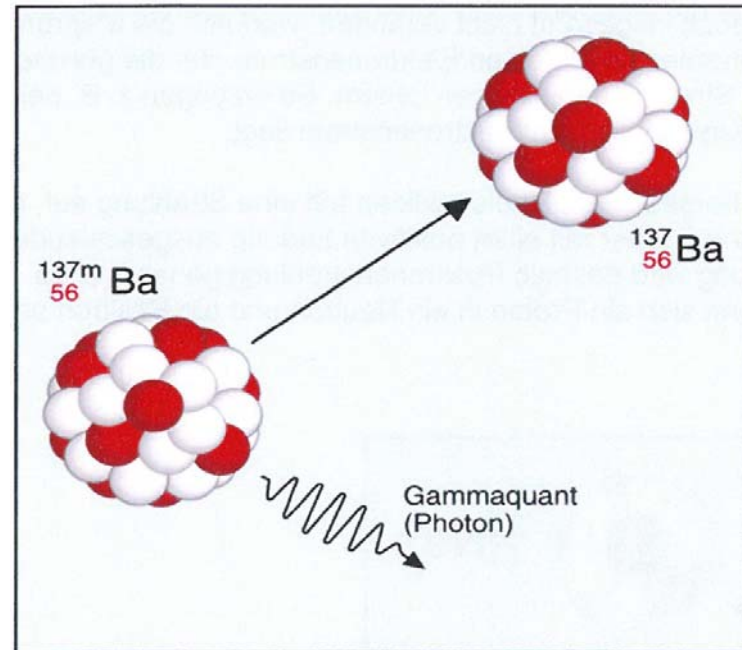
# $\gamma$ -Emission



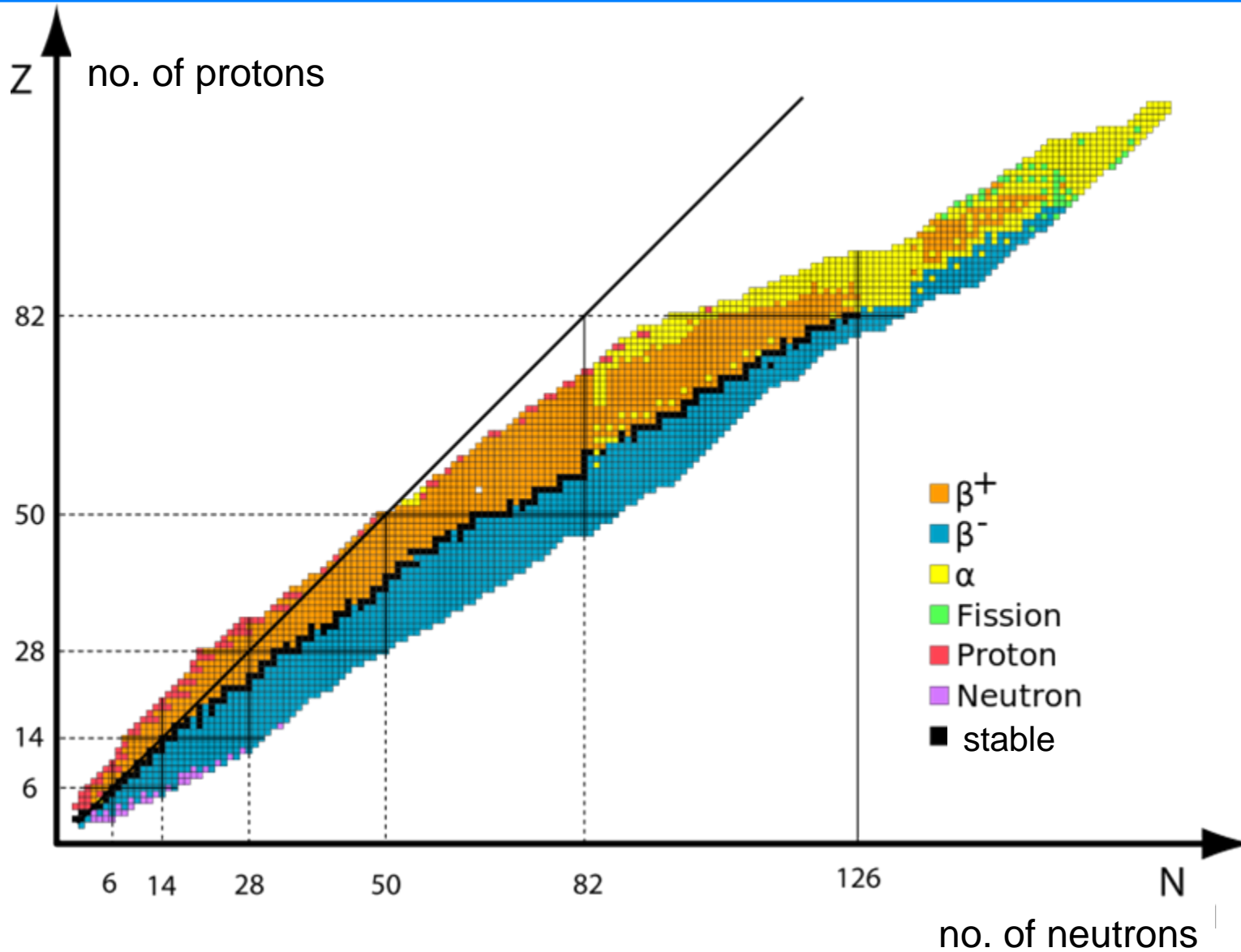
typical  $E_\gamma \sim 1\text{--}2\text{ MeV}$

$^{137\text{m}}\text{Ba} \xrightarrow{\gamma} ^{137}\text{Ba}$

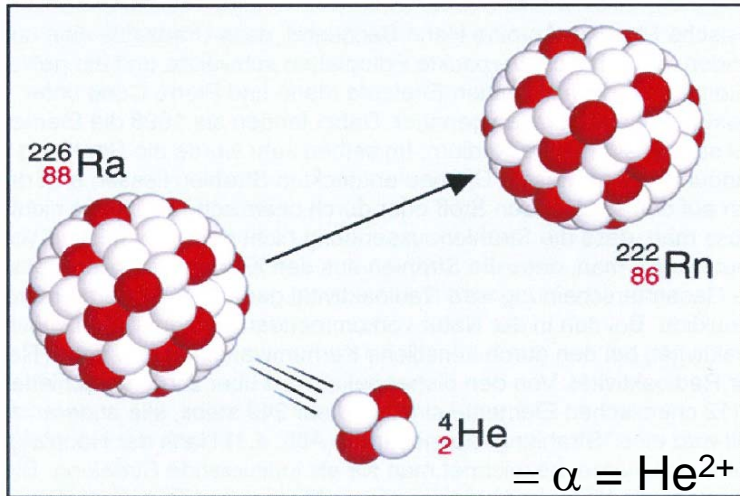
$^{137\text{m}}\text{Ba}$  ↑  
**metastable (Isomer):**  
 excited state,  
 long life time



## Nuclide chart



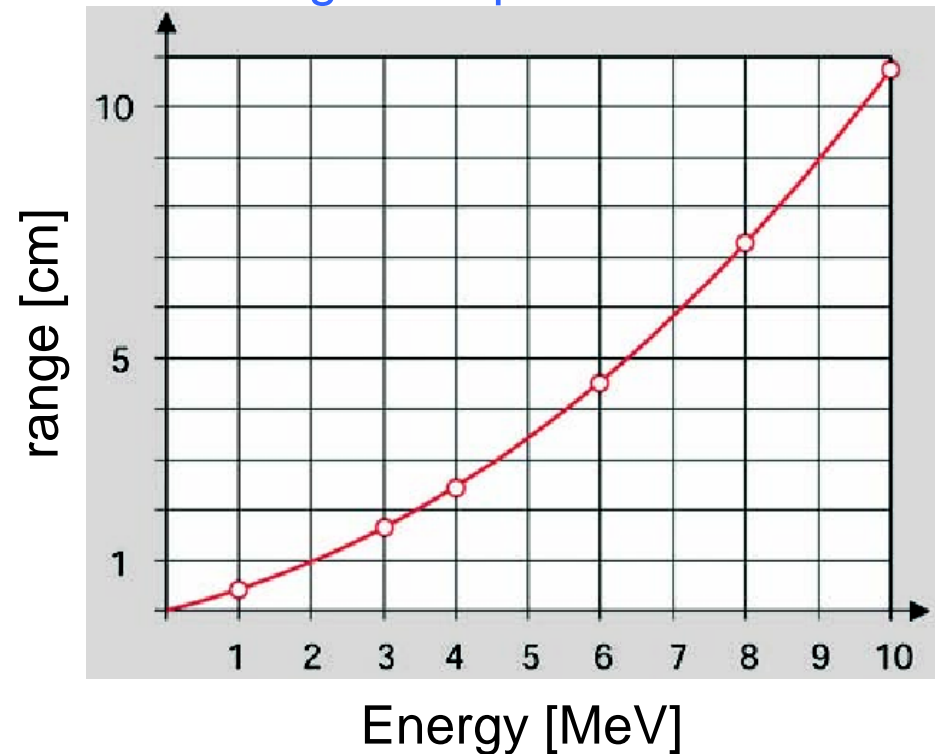
# $\alpha$ -Decay



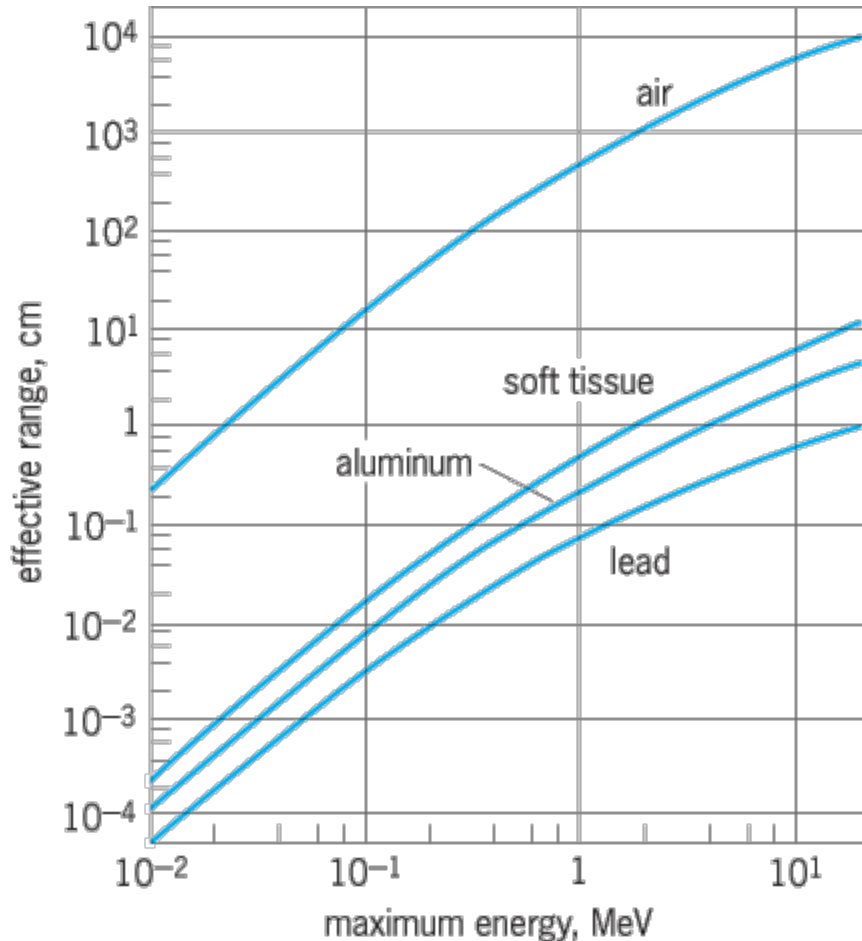
heavy nuclei are often  $\alpha$ -Emitters,  
typical  $E_\alpha \sim 4 - 8 \text{ MeV}$

$R = 2.5 \text{ cm}$  for  $E_\alpha \sim 4 \text{ MeV}$   
 $\rightarrow$  no radiation hazard  
 except for incorporation  
 (no eating in radiological  
 controlled areas!)

Range of  $\alpha$ -particles in air



# Range of $\beta$ -particles ( $e^-$ , $e^+$ )



↑  
typical  $\beta$ -energy

$\beta$ -radiation:

- $\sim 1$  cm into tissue (= skin)
- hazard to eyes  $\rightarrow$  use glasses !



High Z materials like Pb stop  $\beta$ 's effectively but produce bremsstrahlung (= low energetic photons)

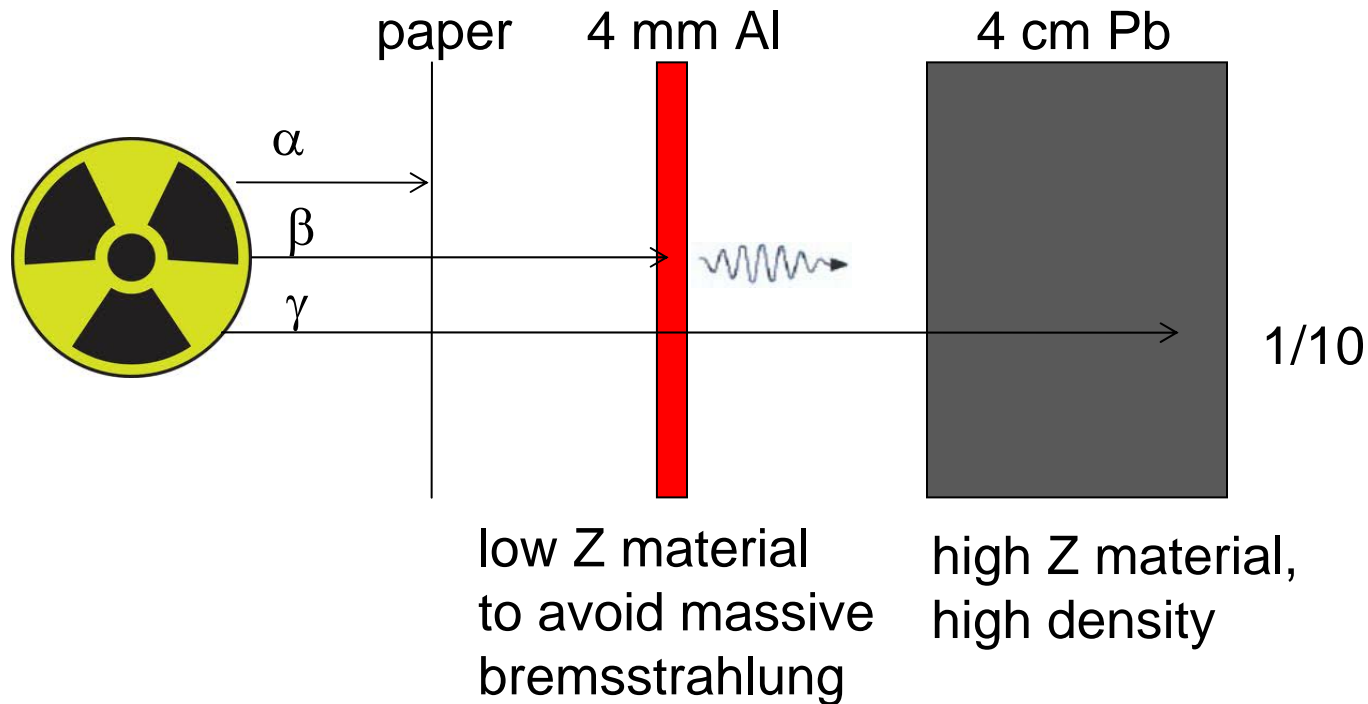
# Shielding against residual activation

Particles like  $\gamma$  and electrons have much lower energy:

$\gamma$ :  $< 3$  MeV

$e^-/e^+$ : 1-2 MeV (max.  $\beta$ -energy)

$\alpha$ :  $\sim 4 - 8$  MeV



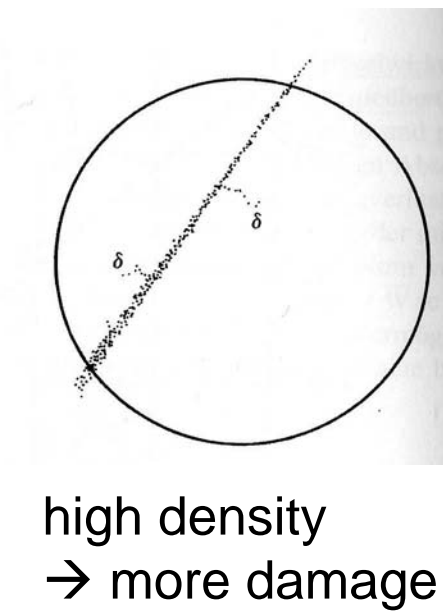
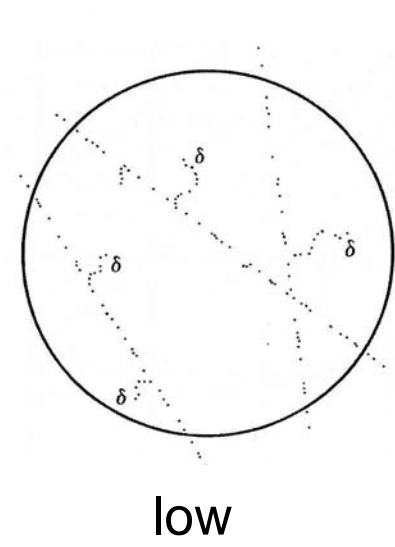
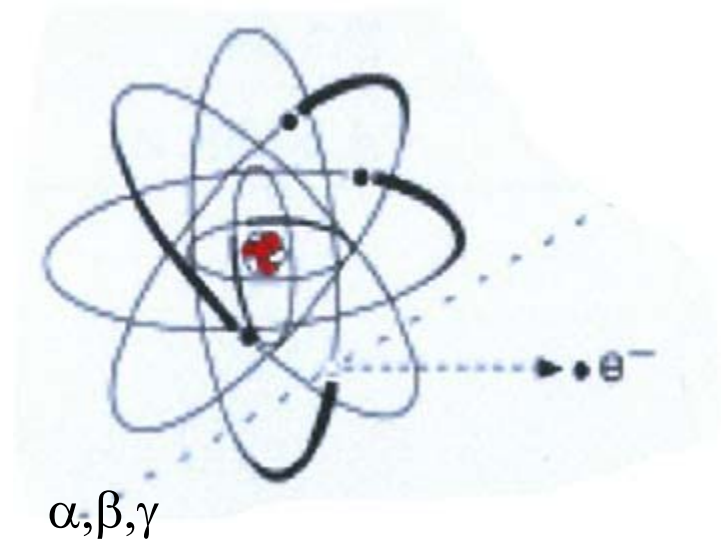
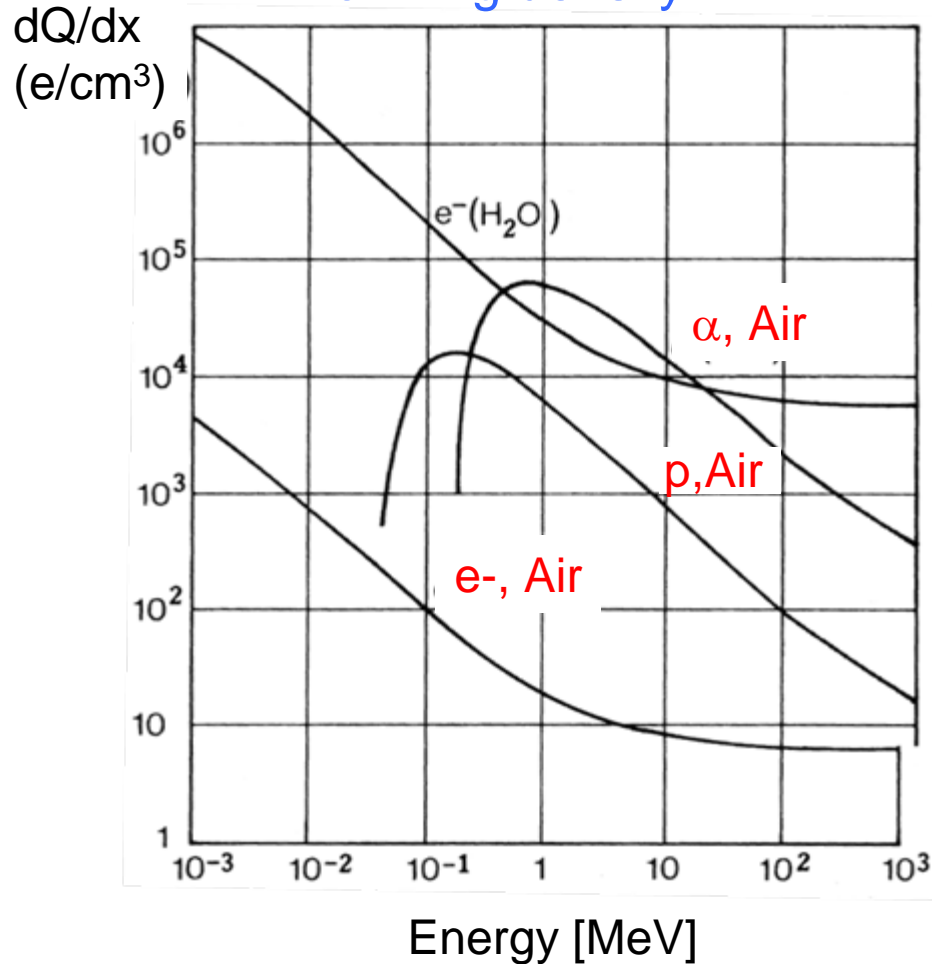
$\beta$

# Ionizing density

Charged particles &  $\gamma$ 's ionize atoms

→ exposure as measure

Ionizing density



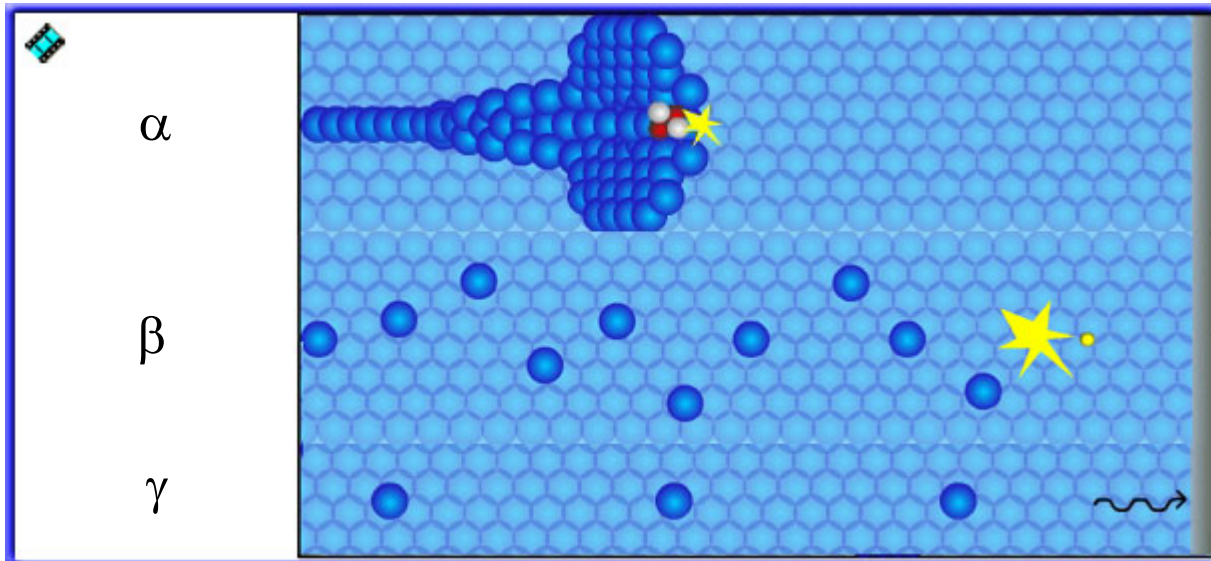
## More general: Energy transfer

only ~ 50 % of the energy is used for ionization,  
depends on energy and particle type

neutrons: no ionization at all but energy transfer by capture/absorption

→ averaged energy transferred per unit length to tissue

LET: Linear Energy transfer:  $LET = \frac{dE}{dl}$  unit:  $\left[ \frac{keV}{\mu m} \right]$



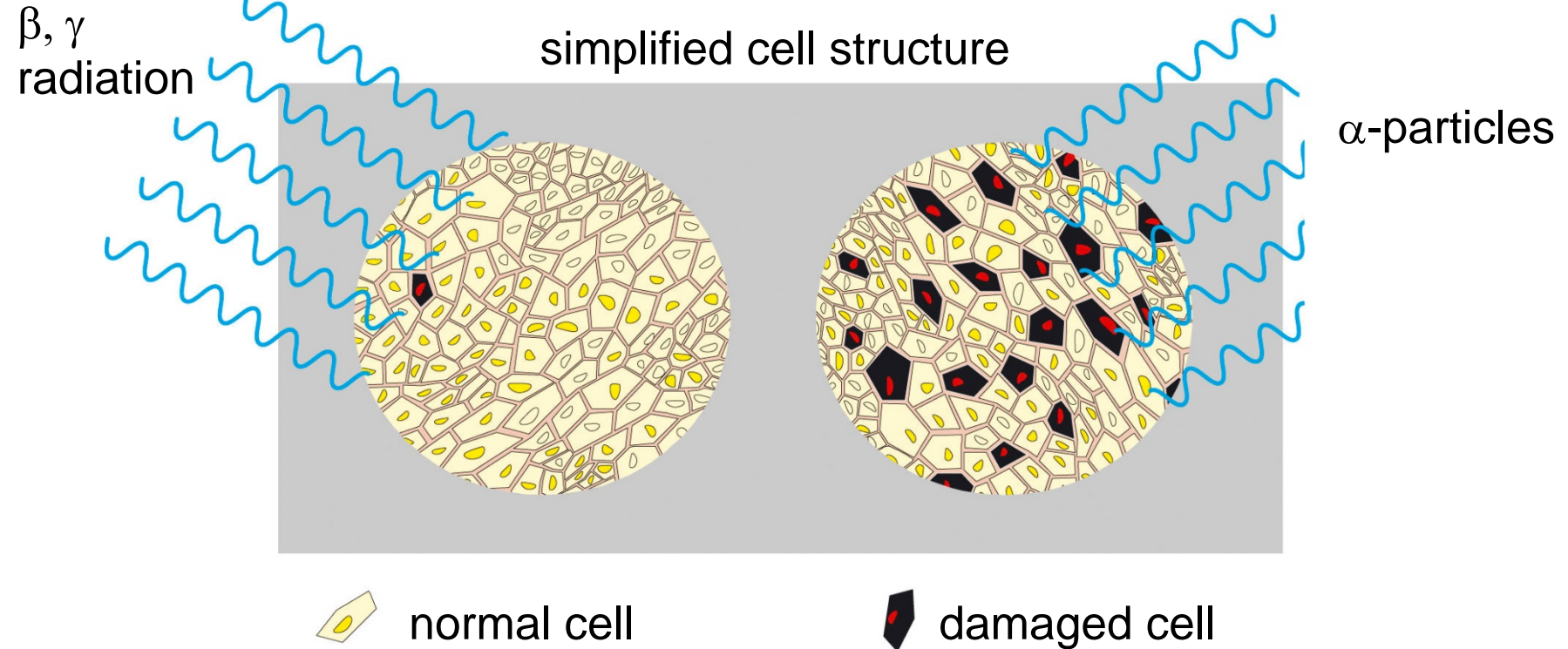
LET ~ 200

→ High LET radiation

LET < 3.5

→ Low LET radiation

# Damage to the tissue



## Empirical observation:

at identical absorbed doses (e.g., 2 Gy)  $\alpha$ -particles show a 20-times more damaging biological effect than  $\beta, \gamma$ .

→ introduction of a quality factor



## Quality factor

based on LET (nowadays):

LET (keV/cm) in H <sub>2</sub> O	Q(L)
< 10	1
10 - 100	0.32 LET – 2.2
> 100	300 / $\sqrt{LET}$

ICRP60, 1991

Dose equivalent:  $H = Q D_T$

unit: Sv, 1 Sv = 100 rem

↑  
energy dose  
absorbed by tissue

For a mixed particle or particle energy field, Q is an average:

$$\bar{Q} = \frac{1}{D} \int Q(L) \frac{dD}{dL} dL$$

Dose equivalent is a more theoretical quantity!

## More practical: The organ dose $H_T$

(also called equivalent dose („Äquivalentdosis“))

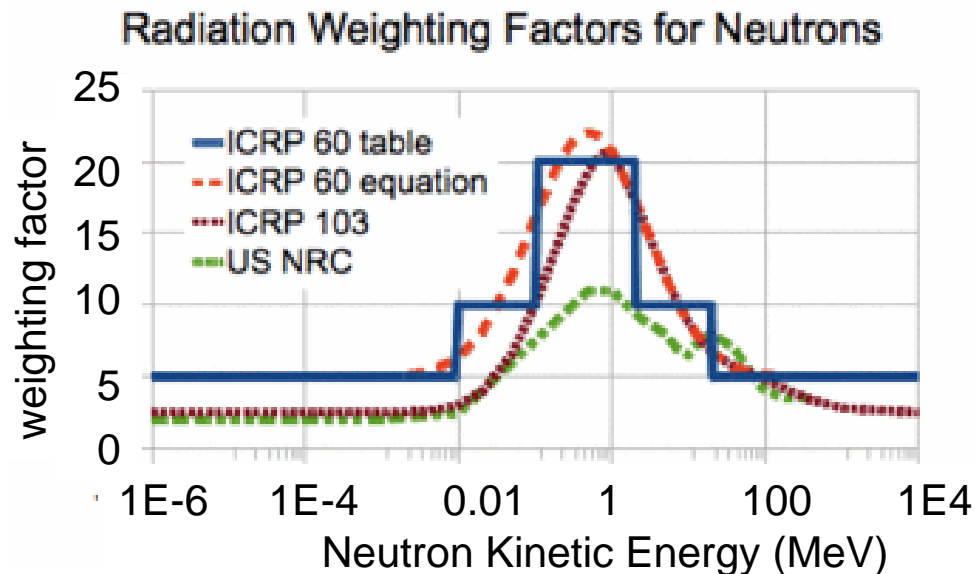
$$H_T = w_R D_T \quad \text{for the judgement of biological damage}$$

$D_T$  : energy dose averaged over organs, tissue

$w_R$ : radiation weighting factor  $\approx$  quality factor averaged  
used to represent **relative biological effectiveness (RBE)**

Radiation type	$w_R$
Photons, all energies	1
Electrons, muons, all energies	1
Protons and charged pions	2
Alpha particles, fission fragments, heavy ions	20

according to ICRP103 (2007)



Various organs react differently when irradiated with the same  $H_T$ .

→ Effective Dose  $E = w_T H_T$

$w_T$  = tissue weighting factors for different body parts:

gonads	0.08
breast, bone marrow, lung	0.12
colon, stomach	0.12
thyroid, liver	0.04
bone surface, skin, brain	0.01
sum of all organs (whole body)	1

ICRP103

If more than one organ is affected, sum over all contributions.

Example: Incorporation of radioactive iodine → thyroid gets  $H_T = 100$  mSv.

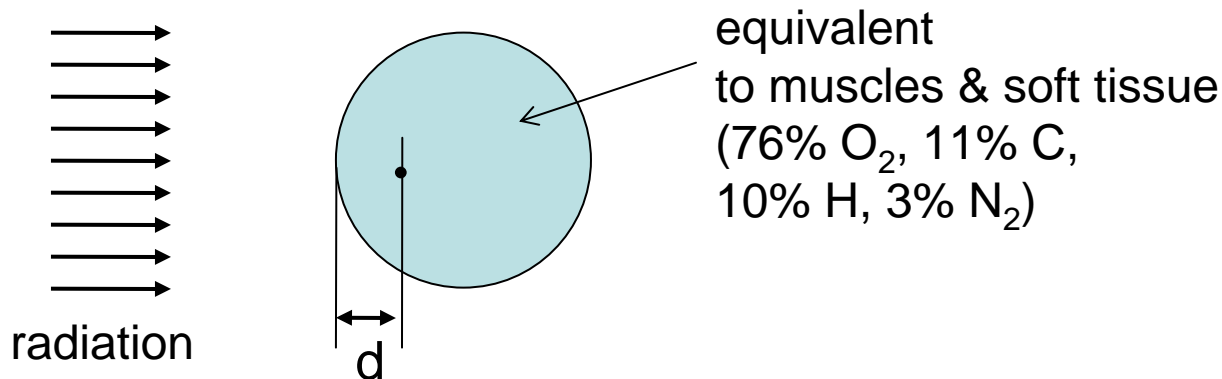
$E = 100 \text{ mSv} \times 0.04 = 4 \text{ mSv}$

i.e. same effect as if the whole body were irradiated with 4 mSv.

# The measurement of dose

1) **at a location** (e.g. experimental hall, accelerator)

Dosimeters are calibrated on the ICRU-sphere  $\phi$  30 cm,  $\rho = 1 \text{ g/cm}^3$



- **for high energetic radiation:**  
measurement independent of orientation of radiation

→ **Ambient dose equivalent:  $H^*(d)$ ,  $d = 10 \text{ mm}$       unit: Sv**

(  $H^*(d)$  and  $H$  can differ by 50% due to back scattering  
& production of secondary particles in medium)

# The measurement of dose

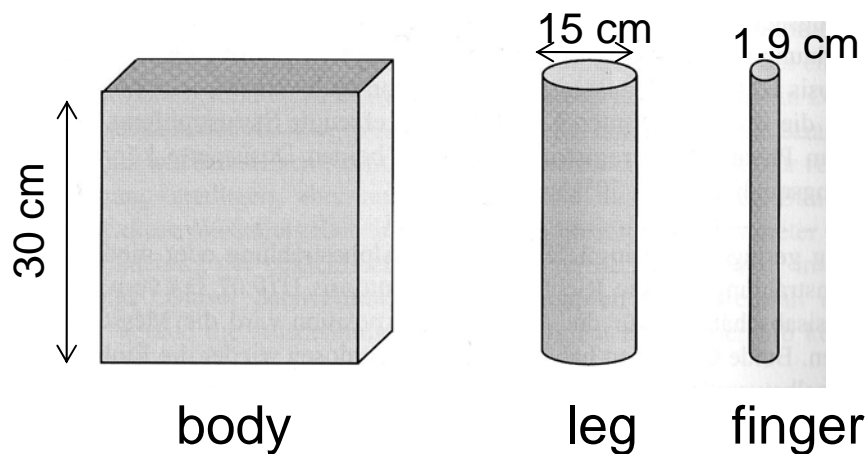
- for low energetic particles:  $\beta < 2 \text{ MeV}$ ,  $\gamma < 15 \text{ keV}$ ,  $\alpha$   
measurement depends on angle relative to incident radiation  
→ directional dose equivalent:  $H'(d, \Omega)$ ,  $d = 0.07 \text{ mm}$  (surface)

Measured doses are an estimate for doses @

- human body ( $d = 10 \text{ mm}$ )
- skin ( $d = 0.07 \text{ mm}$ )
- eyes ( $d = 3 \text{ mm}$ )

## 2) at persons:

dosimeters are calibrated at phantoms



finger dosimeter



measures  
 $H_p'(0.07)$

## Examples for personal dosimeters



**$\beta$  &  $\gamma$  radiation:**  $H_p(10)$ ,  $H_p(0.07)$

Detector: 3 LiF (TLD700) (with different covers)

(stores excitations = thermoluminescence)

$H_p(10)$ : 0.1 mSv bis 5 Sv

$H_p(0.07)$ : 1 mSv bis 5 Sv

$\gamma$  energy: 20 keV - 3 MeV



**Neutron radiation:**

1 CR39-Detektor (plastic polymer)

+ 3 converters: PE, PE(Li), Al

Measurement of tracks produced by neutrons in converters

$H_p(10)$ : 0.5 mSv bis 5 Sv

Energy: thermal and 200 keV - 15 MeV

remarks: both types are also used for monitoring prompt radiation at PSI: ~ 100 distributed in the accelerator areal

## Dose rate $D$

Dose rate  $D$  = dose/time

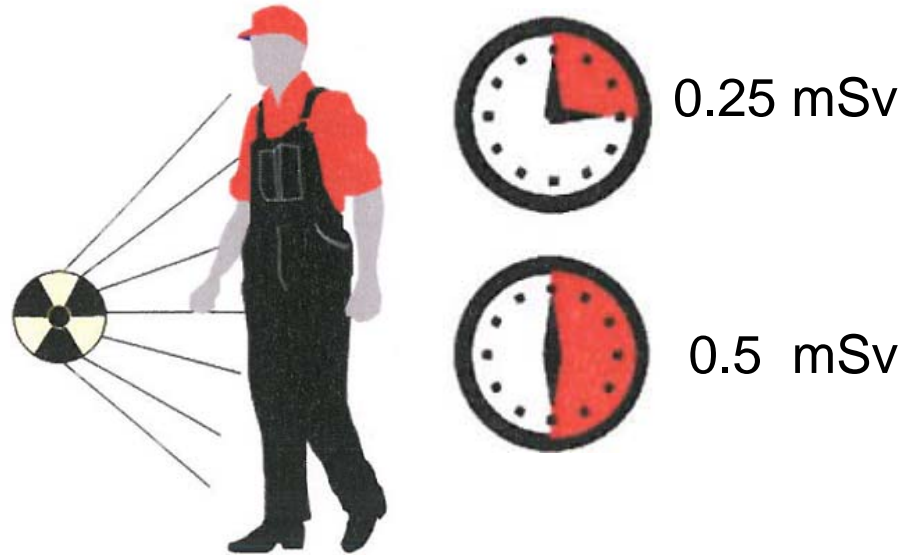
often used unit: [Sv/h]

naming: officially  $\dot{D}$

For all kind of doses

$D_T$ ,  $H_T$ ,  $E$ ,  $H$ ,  $H^*(10)$ ,  $H^*(0.07)$

one gets the average dose rate by  
dividing by exposure time



$$H^*(10) = 1 \text{ mSv/h}$$

**Rules of Radioprotection:** To reduce the dose

- **be fast!**
- work planning and preparation might help  
(praxis at nuclear power plants: training at a mock-up)
- Distribution of work to several persons

Law of the radioactive decay:

$$N(t) = N(t_0) e^{-\lambda(t-t_0)}$$

no. of nuclei, which are in the sample at time t

$\lambda$ : decay constant  $\lambda = \frac{\ln 2}{T_{1/2}}$

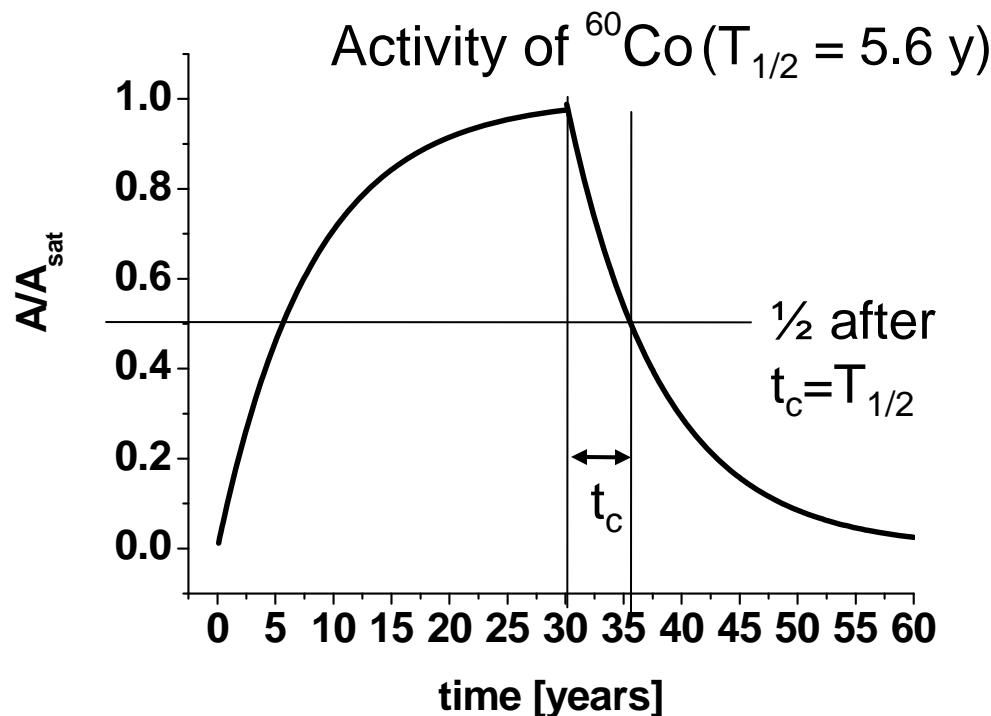
$T_{1/2}$ : half-life

Definition of the activity: unit Bq

$$A(t) = -\frac{dN(t)}{dt} = \lambda N(t) = \lambda N_0 e^{-\lambda t} = A_0 e^{-\lambda t}$$

Specific activity: A/m [Bq/g]

example:  $A(^{60}\text{Co}) < 1\text{Bq/g} \rightarrow$  below the value of free release (LE value)





## Build-up of activity

The simple case: 1 radioisotope

Rate equation:

$$\frac{dN(t)}{dt} = P - \lambda N(t)$$

P: (constant) production rate

Solution of the differential equation

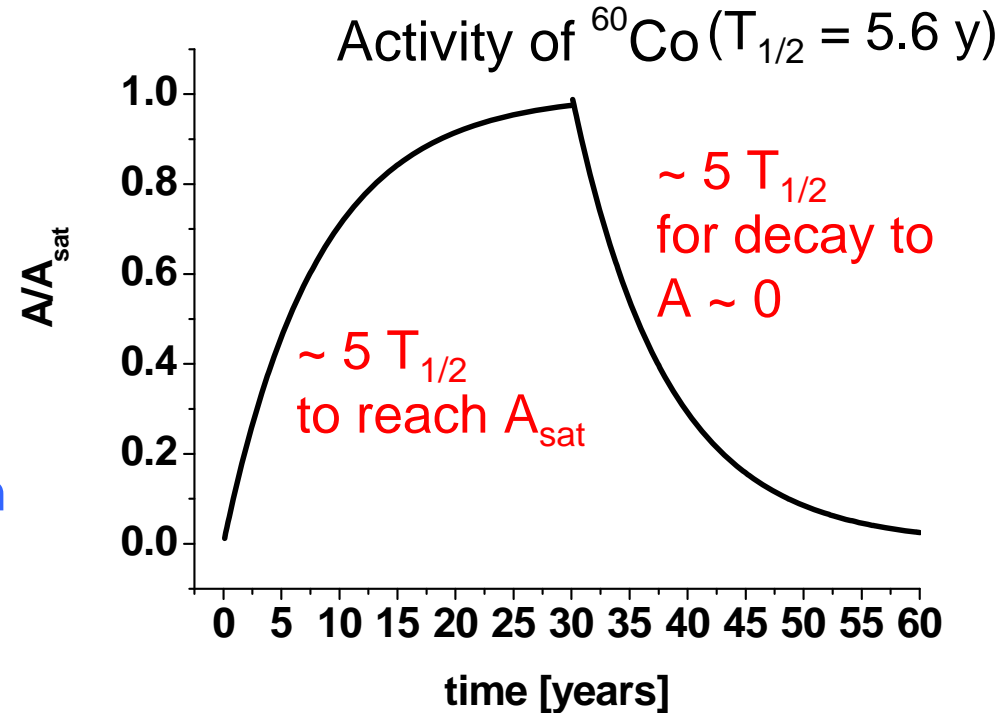
$$A(t) = P(1 - e^{-\lambda t})$$

$$t \rightarrow \infty : A \rightarrow P = A_{\text{sat}}$$

$A_{\text{sat}}$ : saturation activity

For the same production rate P (i.e. same beam current):

It is not possible to produce an activity  $> A_{\text{sat}}$



## Special case: short irradiation periode

i.e.  $t_{\text{irr}} \ll T_{1/2}$        $t_{\text{irr}}$ : irradiation time

$$A(t_{\text{irr}}) = P(1 - e^{-\lambda t_{\text{irr}}}) \cong P(1 - [1 - \lambda t_{\text{irr}}]) = P\lambda t_{\text{irr}}$$

→ activity increases linear with irradiation time  $t_{\text{irr}}$ ,

→ activity much smaller than  $A_{\text{sat}}$  for long-lived isotopes

Decay of  $A_{\text{irr}}=A(t_{\text{irr}})$ :

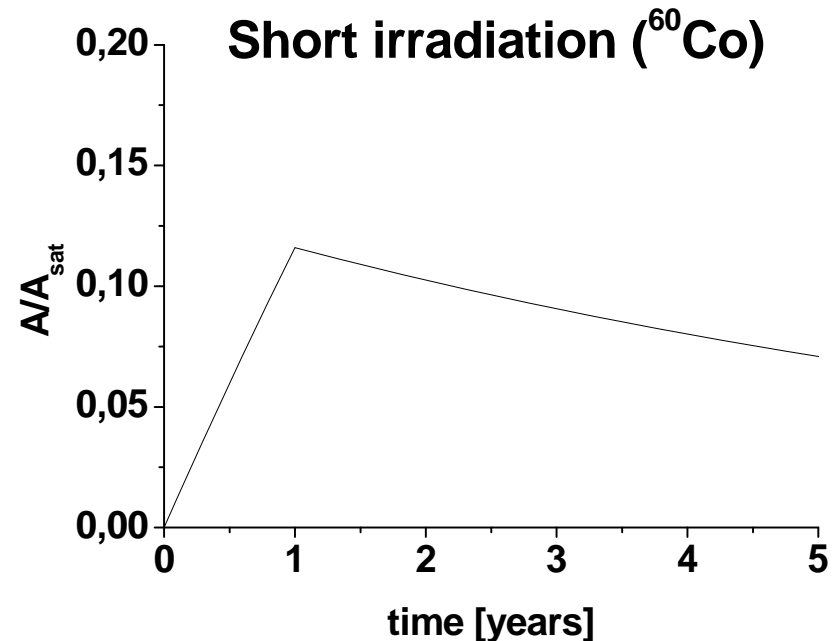
$$A(t_c) = A_{\text{irr}} e^{-\lambda t_c} \sim \frac{t_{\text{irr}}}{T_{1/2}} \left[ 1 - \frac{t_c}{T_{1/2}} \right]$$

$\uparrow$   
 $t_c \ll T_{1/2}$

$t_c$ : cooling time

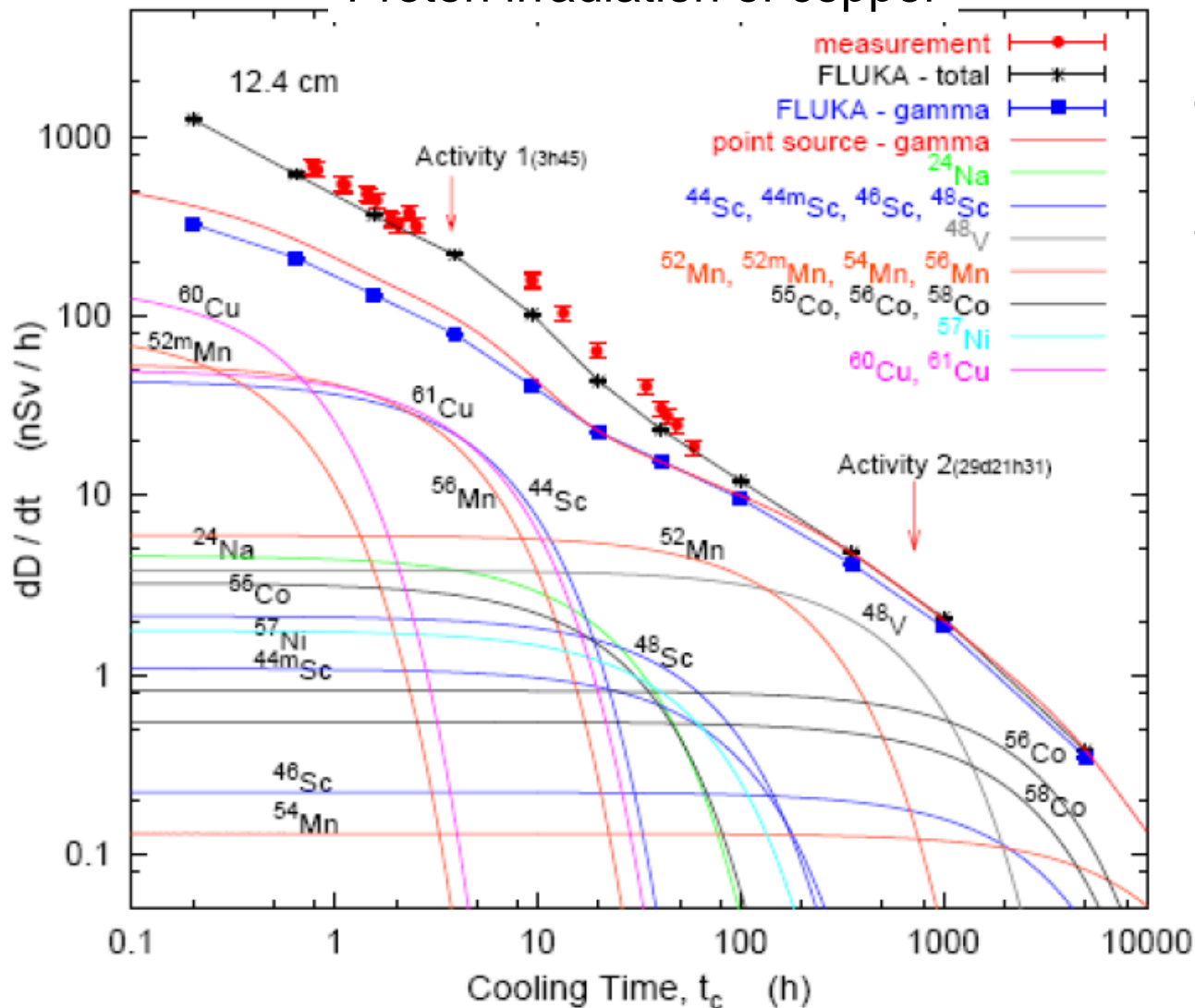
It takes much longer for decay, but

short-lived isotopes, i.e.  $T_{1/2} = t_c/5$  are completely decayed



# Relevant isotopes

## Proton irradiation of copper



The isotope with the largest contribution to the  $\gamma$ -dose rate changes with time.

Nuclide inventory  
Depends also on the  
Irradiation time

talk from L. Ulrici,  
CERN

## Activity A → dose rate

For point source  
(e.g. a hot spot):

$$\dot{H}^* = \Gamma_{H^*} \frac{A}{r^2}$$

↑  
γ-dose  
conversion factor

Example:  $A(^{60}\text{Co}) = 10^6 \text{ Bq}$

$r = 10 \text{ cm}$

→  $H^* = 0.036 \text{ mSv/h}$

→  $= 36 \mu\text{Sv/h}$

Rule of radioprotection:

**Keep distance!**

γ-dose conversion factor  $\Gamma_{H^*}$   
(from the Swiss radioprotection regulation):

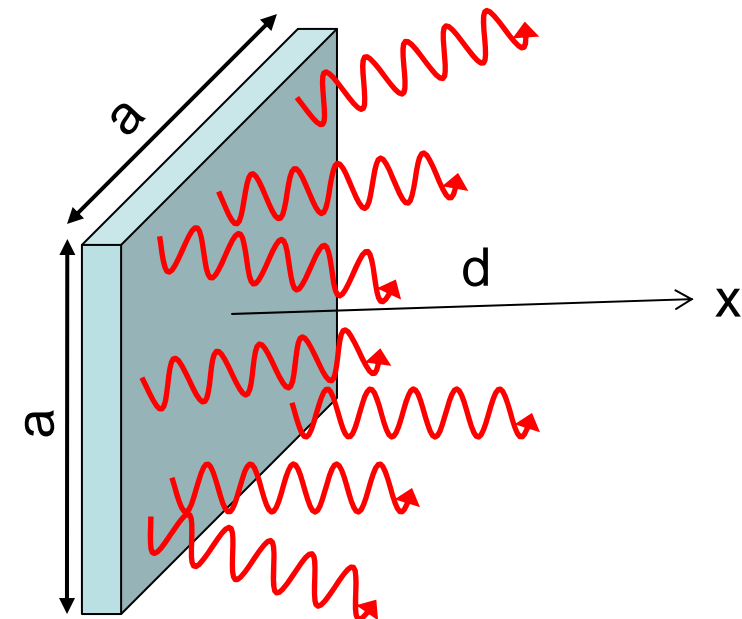
Nuclide	$\Gamma_{H^*}$ (mSv/h/GBq m <sup>2</sup> )	$E_\gamma$ (MeV)
<sup>60</sup> Co	0.366	1.2, 1.3
<sup>22</sup> Na	0.330	1.3
<sup>54</sup> Mn	0.126	0.83
<sup>7</sup> Be	0.008	0.48
<sup>152</sup> Eu	0.179	many
<sup>154</sup> Eu	0.185	1.3 (35%), 1.0 (30%)

values depend on energy of  $\gamma$   
(and sometimes on follow-up products)

# Dose rates at extended objects

only very simple geometries can be solved analytically  
 in general: very complicated!  
 use ray trace programmes or Monte Carlo simulations

Simple example: large plane



$\gamma$ -flux at surface:  
 $\phi_0$  (1/cm<sup>2</sup>/s)

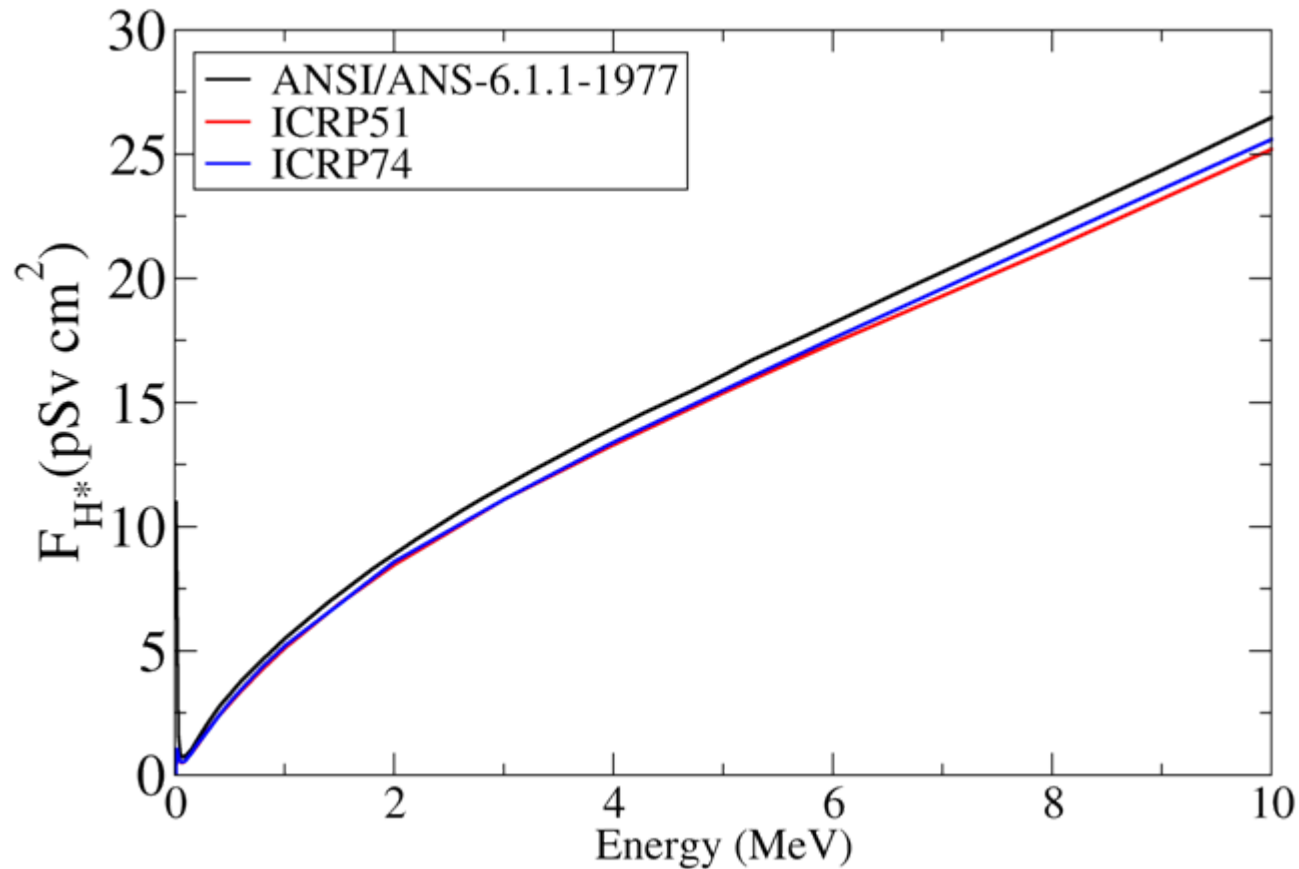
1) Determine  $\gamma$ -flux  $\phi_P(x)$ :

$$\Phi_P(x) = \frac{\Phi_0}{4} \ln \left( 1 + \frac{a^2}{4d^2} \right)$$

2)  $\phi_P \rightarrow H^*$

$$H^* = F_{H^*} \phi_P$$

flux-to-dose conversion factors

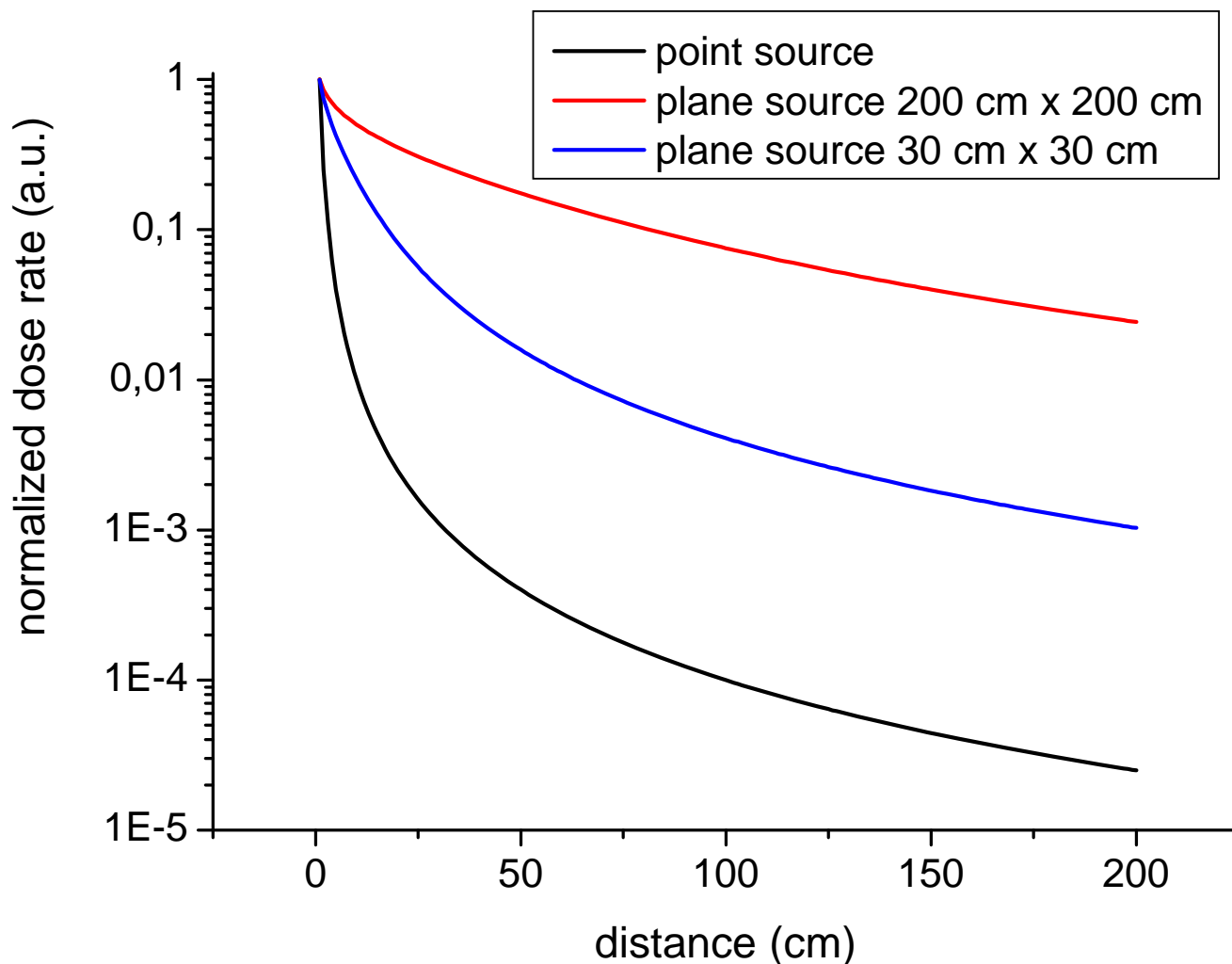
Flux-to-dose conversion factors  $F_{H^*}$ 

The harder the radiation,  
the larger the dose  
(more damage)

$$H^* = F_{H^*} \phi_P$$

works also for prompt radiation!

# Comparison point source – plane source



in 1 m distance:  
 point: 0.0001  
 30x30: 0.004  
 200x200: 0.075

At larger distance ( $d > 2 a$ ) from the plane source it behaves like  $1/d^2$ .

## Examples for activation

**Short-time irradiation:** 20 days 100 nA protons of 72 MeV on  
316L: 40 mSv/h in 10 cm distance,  
12 h cooling

Co content: 0.16%

→ **Activation of steel increases with Co-content !**

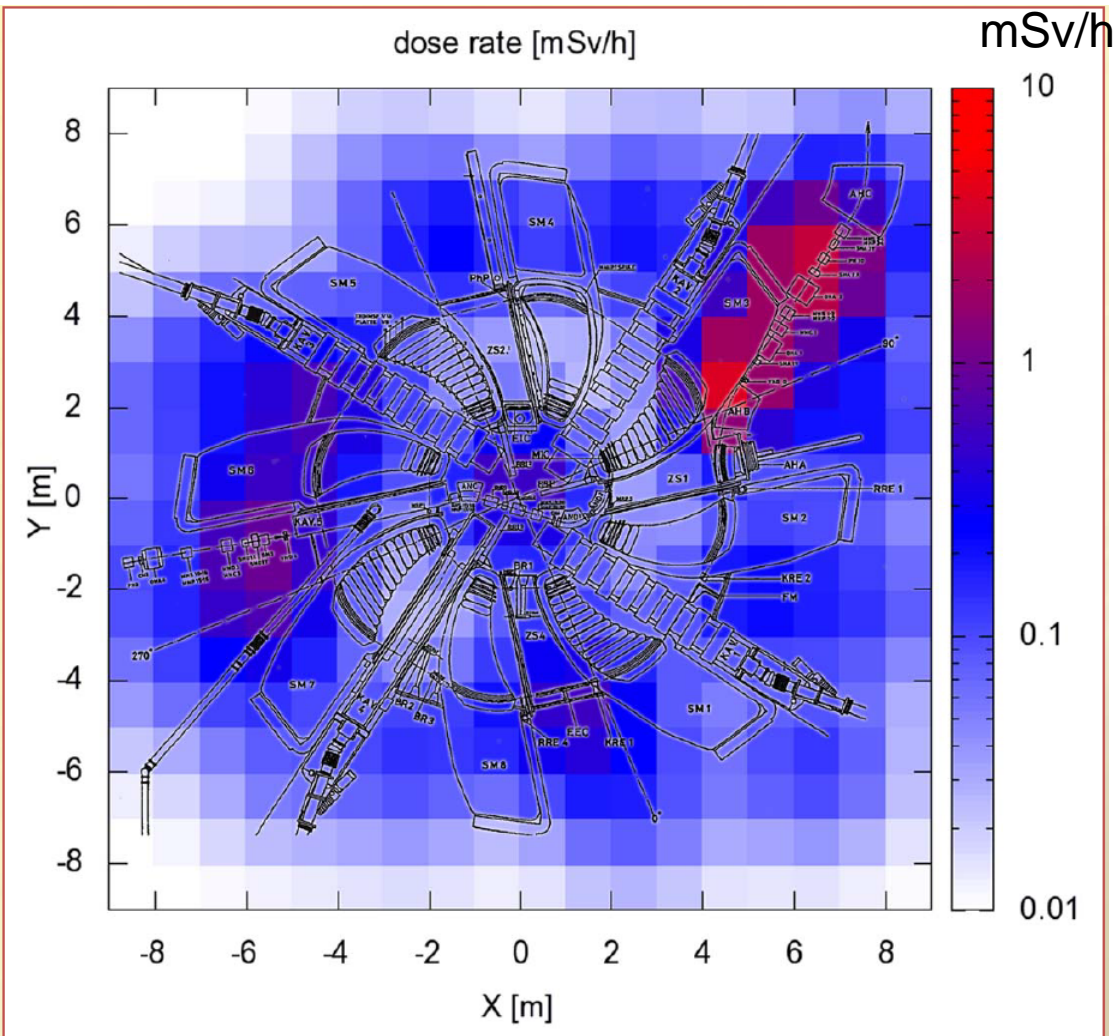
**Long-time irradiation:** 20 years 100 nA protons of 72 MeV on  
Cu: 24 mSv/h in 10 cm distance  
Magnet-Fe: 140 mSv/h after 64 h cooling  
Graphite: 1.3 mSv/h

- It is important to consider later activation already in the design phase.
- **Choose materials with lower activation, if possible.**

Doses are calculated with MCNPX/Cinder90,  
typically within a factor 2 agreement to the measurement



## Examples for activation: Ring cyclotron at PSI



compiled by M. Seidel from 30 data points

For maintenance/repairment:  
good planning of work procedure  
→ 50 -300  $\mu\text{Sv}$  per mission  
and person

In 2011/2012 shutdown:  
total collected dose: 40.5 mSv  
participating people: 149  
→ in average: 0.27 mSv

highest personal dose: 3.2 mSv

# When is a material radioactive?

## 1. Ambient dose equivalent:

$$H^*(10) > 0.1 \mu\text{Sv/h}$$

OR

## 2. Activity: decays/sec, unit: Bq

$$\sum_i \frac{A_i}{R_i} > 1 \quad (\text{Sum rule})$$

$A_i$ : specific activity [Bq/g]

$R_i$ : exemption limit

given in the radioprotection regulation

OR

## 3. Surface contamination:

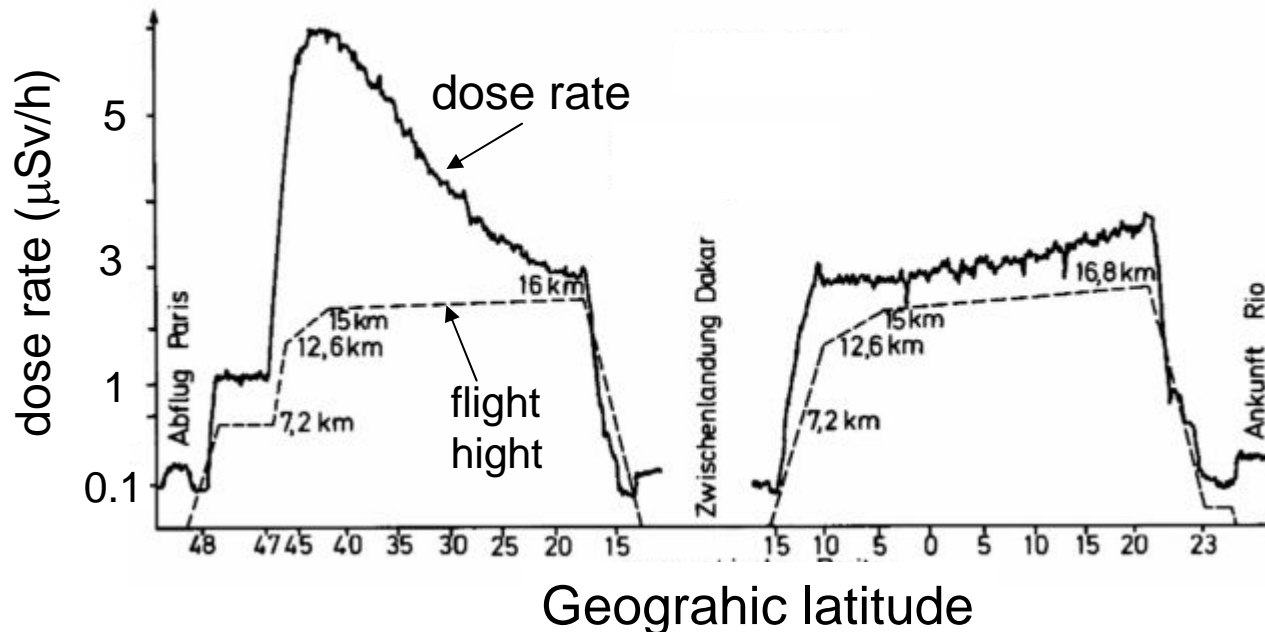
- $> 1 \text{ Bq/cm}^2$  in case of unidentified  $\beta$ - and  $\gamma$ -emitters
- $> 0.1 \text{ Bq/cm}^2$  in case of unidentified  $\alpha$ -emitters
- $> \text{CS-value}$  (given in regulation) for specific isotope

## Legal dose limits

for workers: 20 mSv/year  
 150 mSv for eye lense  
 500 mSv for skin (on 1cm<sup>2</sup>), hands, feet

for public: 1 mSv/year

Flight from Paris to Rio de Janeiro and back: ~ 0.1 mSv/h



aircraft personal: get ~ 3 mSv/year

# Effective doses for the population

## Terrestrial source:

Cosmic rays,  
food,  
natural isotopes in soil and air

## Worldwide average: 2.4 mSv

Kanada:	1.8
Great Britain:	2.2
Germany:	2.2
USA:	3.0
Switzerland:	4.3
India (Cerala Coast):	12.5
China (YangJiang):	6.3
Worldwide range:	1 – 10

## CONSIDERABLE VARIATION

- 25 % < 1 mSv
- 65 % < 3 mSv
- 10 % > 3 mSv

+ medical treatment: 0.5 – 3 mSv

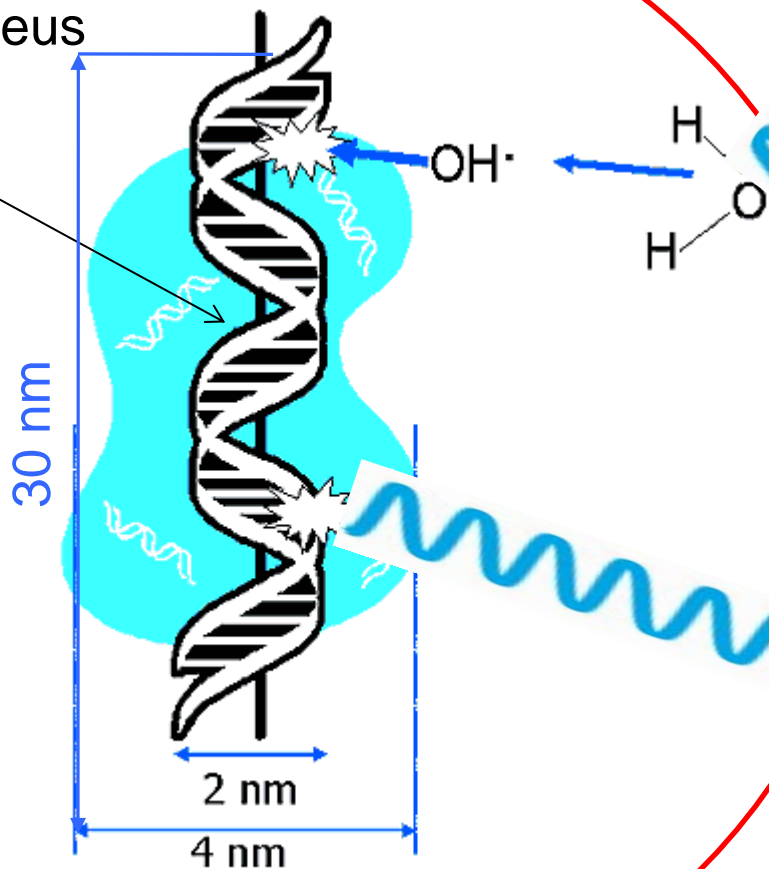
## Medical exposures:

examination	mSv
<b>CT</b>	
- Head	2
- Spine	6
- Chest	7
- Abdomen	15
<b>x-ray</b>	
- Dental	0.005
- Chest	0.1
- Spine	1.5

treatment of tumors:  
20 – 60 Sv

# Damage mechanism

DNA,  
in the cell nucleus

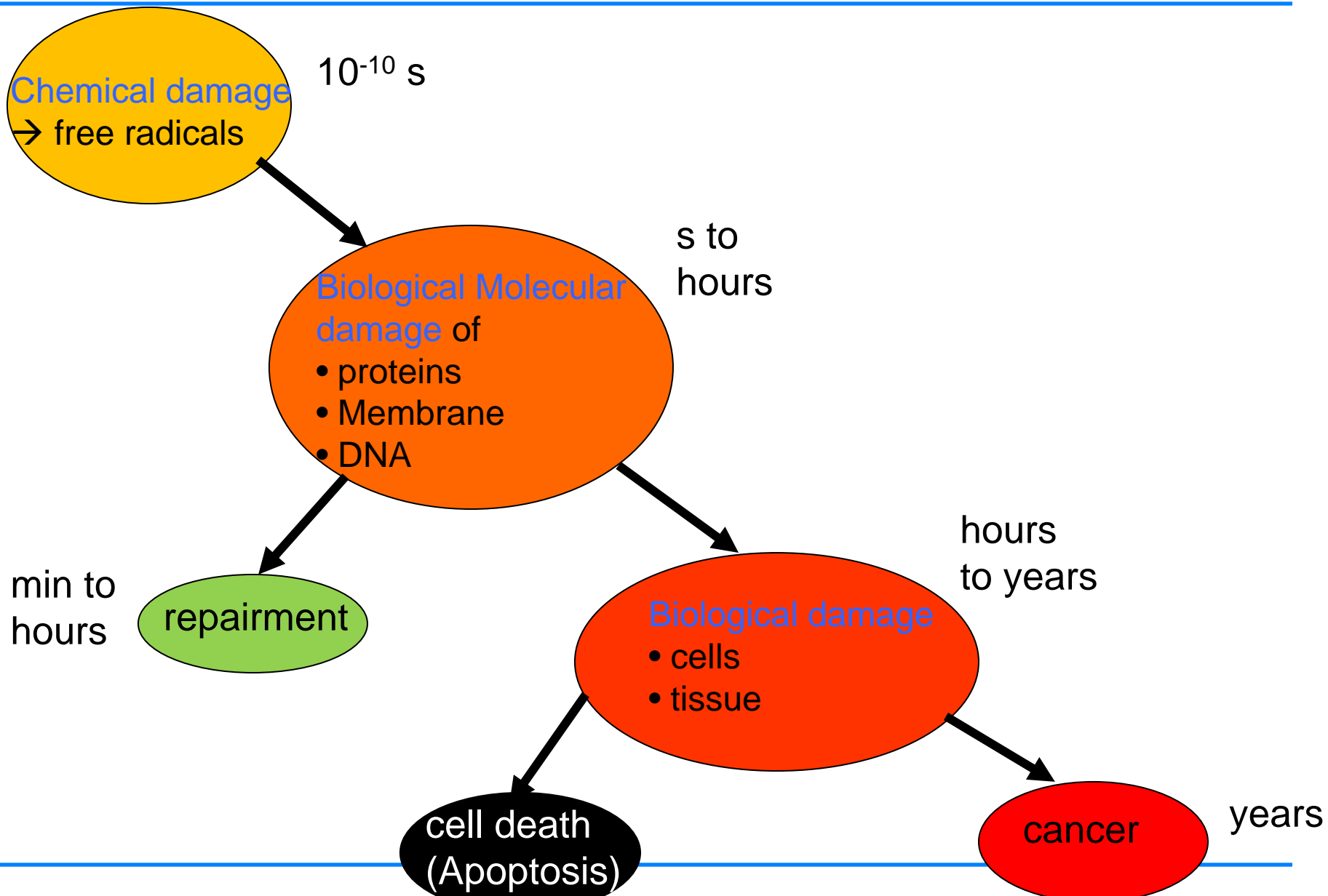


**Indirect action:**  
interaction of the radiation with the cell water  
 → dissoziation of  $H_2O$   
 → production of radicals  
 → very reactiv  
 → diffusion to DNA  
 → damage of DNA & other molecules

**Direct action:**  
damage of the DNA  
 → seldom (DNA ist very small)

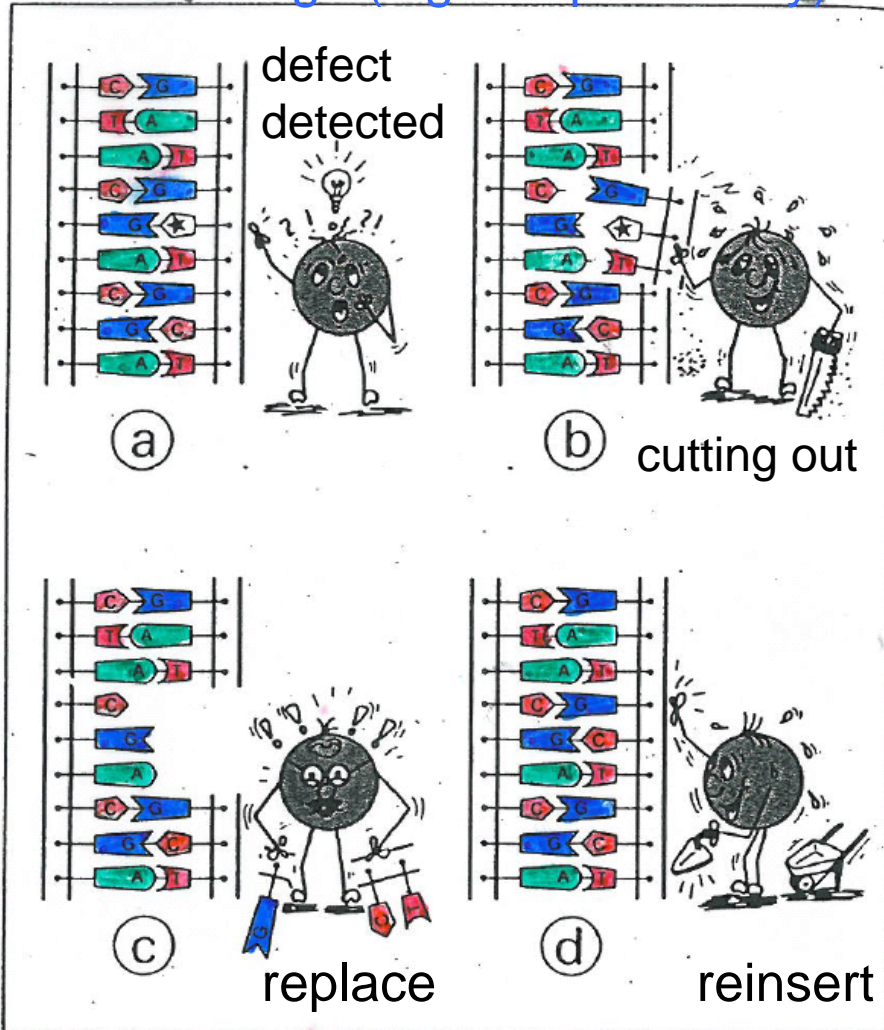
cell: 10 – 50  $\mu m$

# The time scale



# DNA-Repairment (very simplified)

## Base damage (highest probability):



Bases:



Cytosin



Guanin is a pair



Thymin



Adenin is a pair

- small parts are replaced in minutes
- large parts and double-strand repairment can take hours

## Some numbers: Effective dose and cell defects

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Average effective dose in CH:

5.6 mSv/year = 15  $\mu$ Sv/day

produces  $\sim 4 \cdot 10^{14}$  radicals/day in the „standard“ human

Human has  $\sim 10^{13}$  cells  $\rightarrow$  40 defects/cell per day

most of them get repaired

$10^{-2}$  -  $10^{-3}$ /cell faulty or unrepaired

$\rightarrow$  in 2.5 to 25 days 1 cell has a persistent defect

Cell reproduction mechanism:

- 1 DNA/cell

- DNA has  $\sim 3 \cdot 10^9$  base pairs

- replication of the DNA in 1-30 days

$\rightarrow$  1 -10 spontaneous mutations (important for the evolution of life)

$\rightarrow$  in  $< 30$  days 1 cell has a persistent defect

Damaged cells should declare cell death (Apoptosis).



# Prediction of cancer mortality

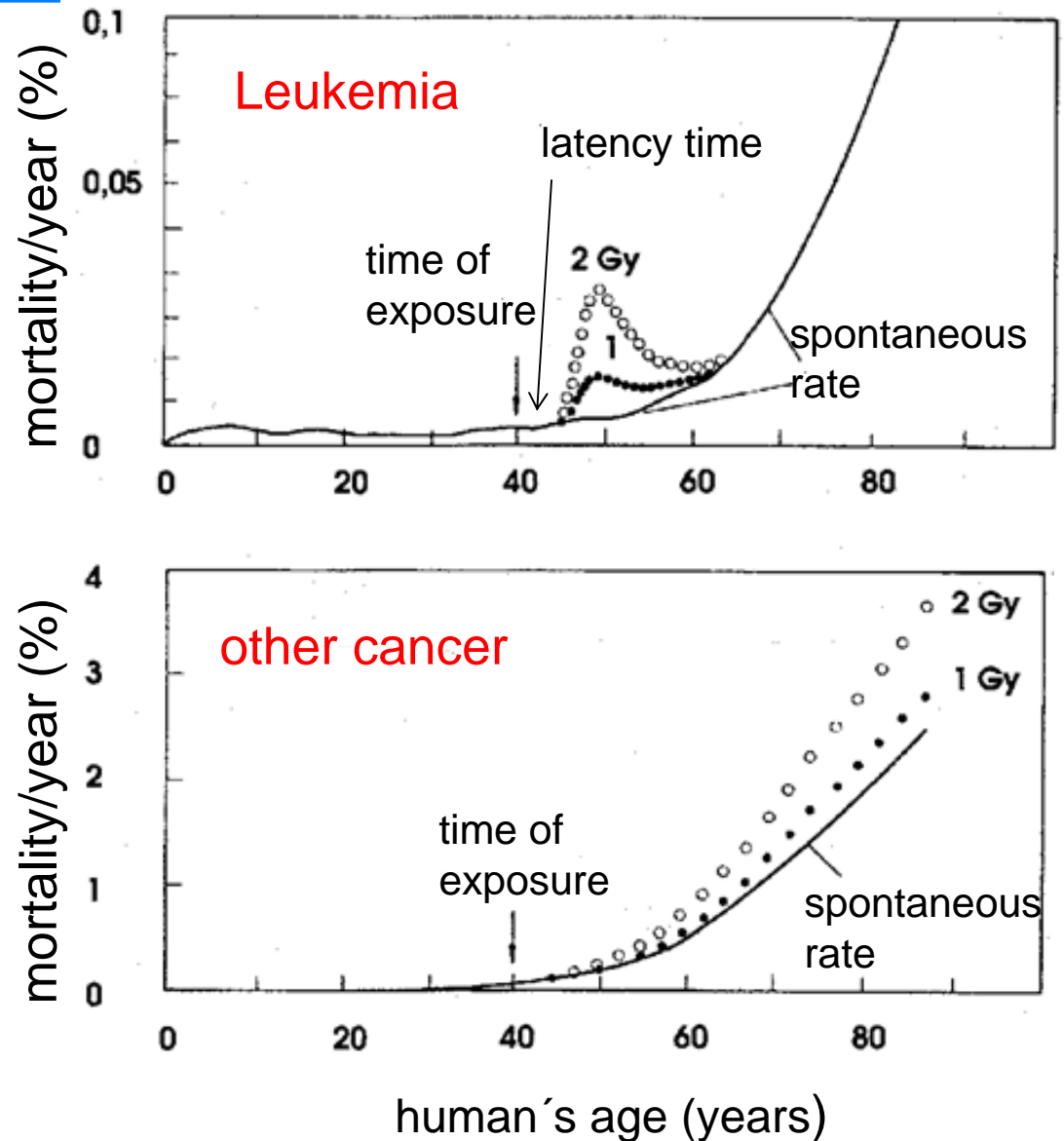
very difficult!

depends on many parameters:

- cell cycle
- kind of cell
- Chemicals can increase or decrease the effect
- Chemicals can prevent repairment mechanism
- O<sub>2</sub> content
- pH value in cell
- human's age
- exposure time and pattern
- spatial distribution of dose

stochastic effect:

+5% cancer mortality/Sv  
within 40 years



# Summary of Radiation

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**Prompt radiation:** all kind of particles when beam on  
important: photons & high energetic neutrons  
shielding: high Z material against photons  
neutrons: iron & concrete

**Residual radiation:** beam off,  
buildup depends on the irradiation history  
important:  $\gamma$ -radiation  
dose decreases with time and distance

Definition of several doses: purpose of quantifying the damage  
most damaging are heavy particles  
The measured dose  $H^*(10)$  should represent the dose in the human.

**cancer mortality: +5% /Sv within 40 years**  
„natural“ risk: 25 %

As Low As Reasonable Achievable

If possible,

- use (additional) shielding
- use remotely operating devices
- reduce time with work planning
- enter after reasonable cooling time
- keep distance (particularly from hot spots)
- use protection clothes against contamination of skin
- use **protective mask and breathing apparatus** to avoid
  - inhalation (particularly tritium, when opening vacuum systems or entering closed rooms)
- exposures can be significantly reduced, if considered in design phase

